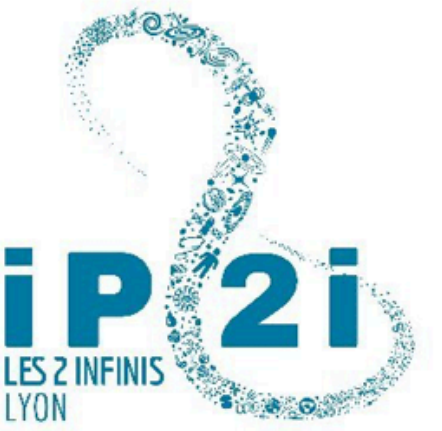




PhD Days



Study of strange particle production in mini-jets with ALICE at the LHC

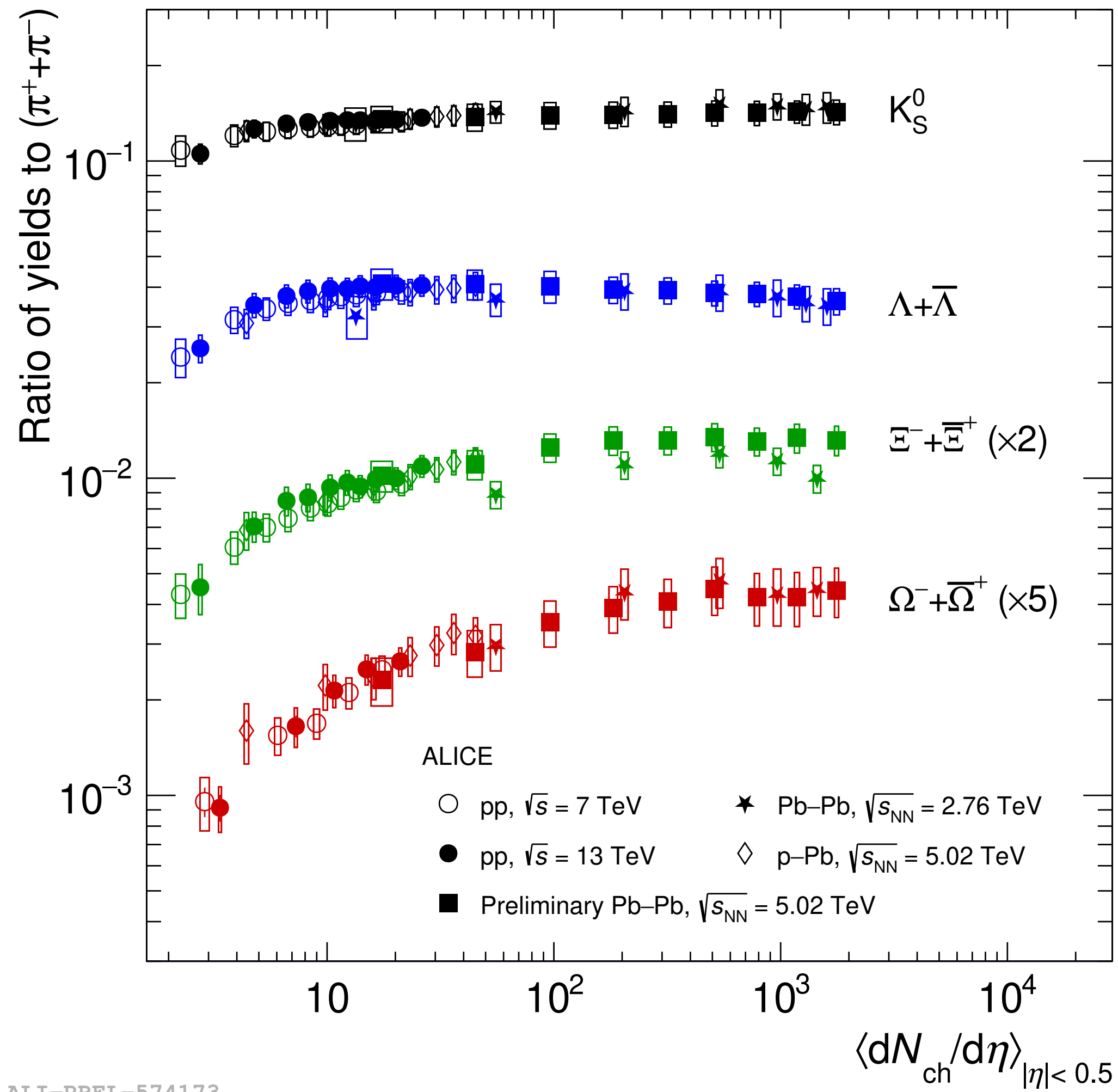
Lang Xu^{1,2}

Supervisors: Cvetan Valeriev Cheshkov¹, Xiaoming Zhang²

1. UCBL / IP2I, Lyon  2. CCNU / IOPP, Wuhan 

- Motivation
- Data sample and analysis strategies
- Systematic uncertainty
- Results and outlook

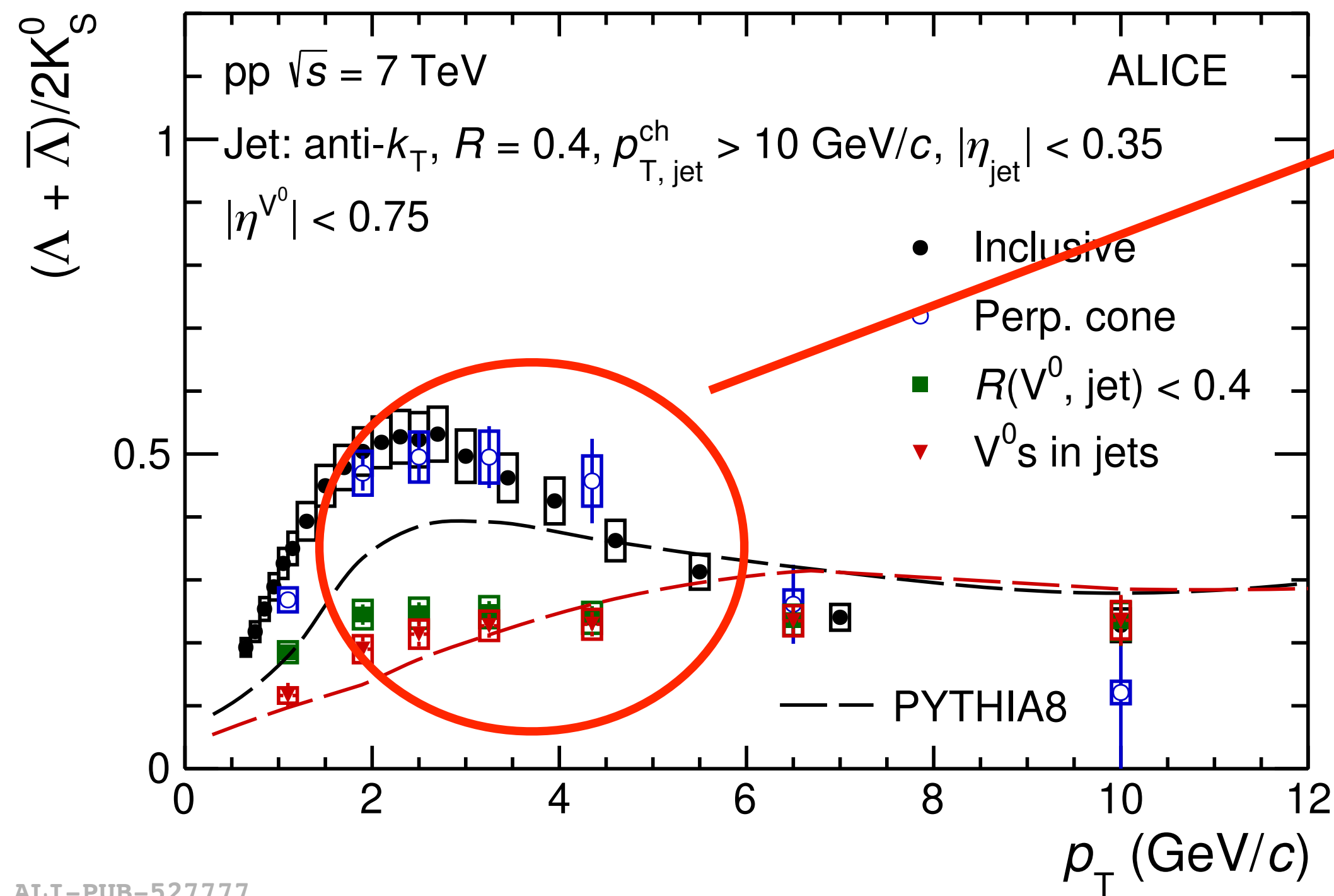
2025/04/17



【*Nature Physics* 13 (2017) 535-539】

- Smooth increasing yield ratio (strange particle to pion) vs multiplicity observed
 - Stronger increasing with more strangeness content
 - Reaching the values in Pb-Pb collisions where the system is thermalized
 - The origin of this enhancement is still an open question
- ➡ Study the strange particle production in jets

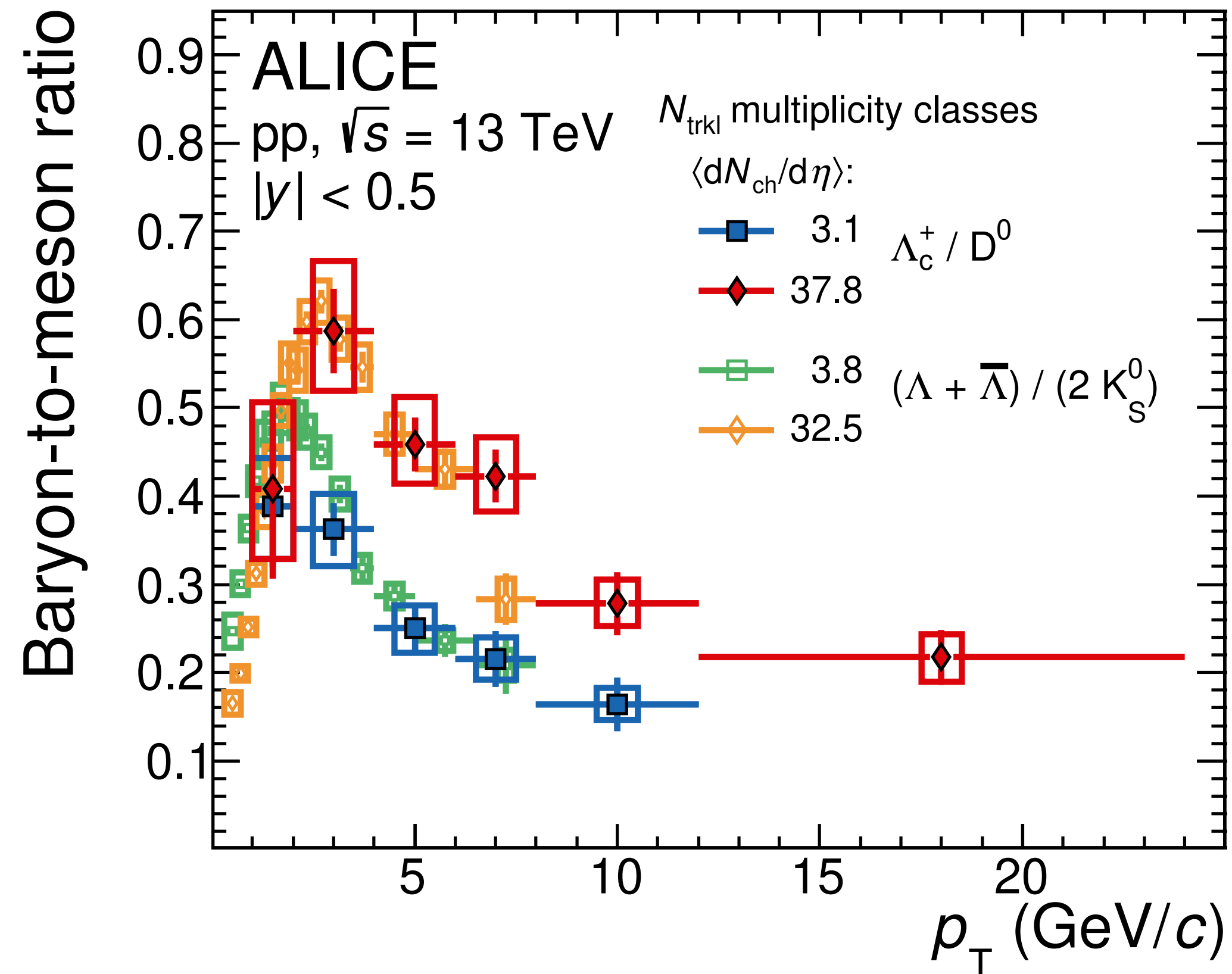
[Phys. Lett. B 827 \(2022\) 136984](#)



ALI-PUB-527777

- Strange baryon-to-meson ratio enhancement in the underlying event (compared to in jet production) observed in p_T at 2–4 GeV/c in pp (and p–Pb)
 - ➡ Suggests the enhancement is not attribute to the jet fragmentation
 - ➡ However, particles located in the ratio enhanced region are expected to be products of parton fragmentation and are likely the leading particles of low energy jets

[Phys.Lett.B 829 \(2022\) 137065](#)



- Larger energy parton $\rightarrow$ smaller z
- Smaller energy parton $\rightarrow$ larger z

- Similar behavior observed in charm sector
 - $\rightarrow$ Clearly from hard processes
- In this study
 - $\rightarrow$ Measure p_T fraction
 - $\rightarrow$ Observable: $z = p_{T,\text{trigger}} / p_{T,\text{jet}}$
 - $\rightarrow$ Choosing strange particle as trigger, charged primary particles as associated particles

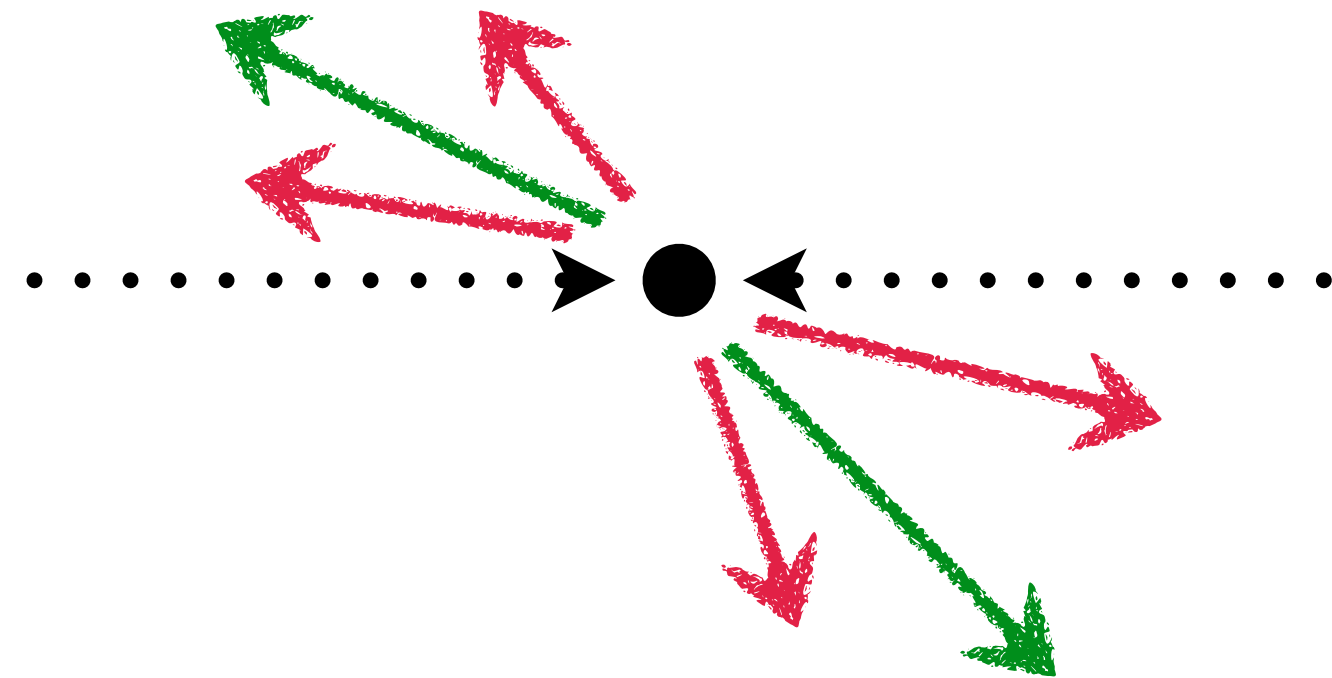
Data sample

a full sample list is in the [backup](#)

- **Data:** pp collisions $\sqrt{s} = 13$ TeV, 2016, 2017 and 2018 data, pass2, AOD (AOD234 for LHC16k and LHC16l), LHC17g and LHC18c are rejected according to QA
- **Monte Carlo:** general purpose MC, runs anchored data are selected

Event and particle selections

- **Events:**
AliVEvent::kINT7 (minimum bias), $|z_{\text{vtx}}| < 10$ cm, both IB and OOB PUs are rejected
- **Trigger candidate selection:**
The strange particle (candidata) in given event, $|\eta_{\text{v0}}| < 0.75$
- **Associate particles:**
 $p_{\text{T}} > 0.15$ GeV/c, $|\eta| < 0.8$, physical primary (FilterBit BIT8 tagged global hybrids with $|\text{DCA}_{xy}| < 2.4$ cm and $|\text{DCA}_z| < 3.2$ cm)
- **MC particles:**
Data selection + IsPhysicalPrimary() + !IsFromSubsidiaryEvent()

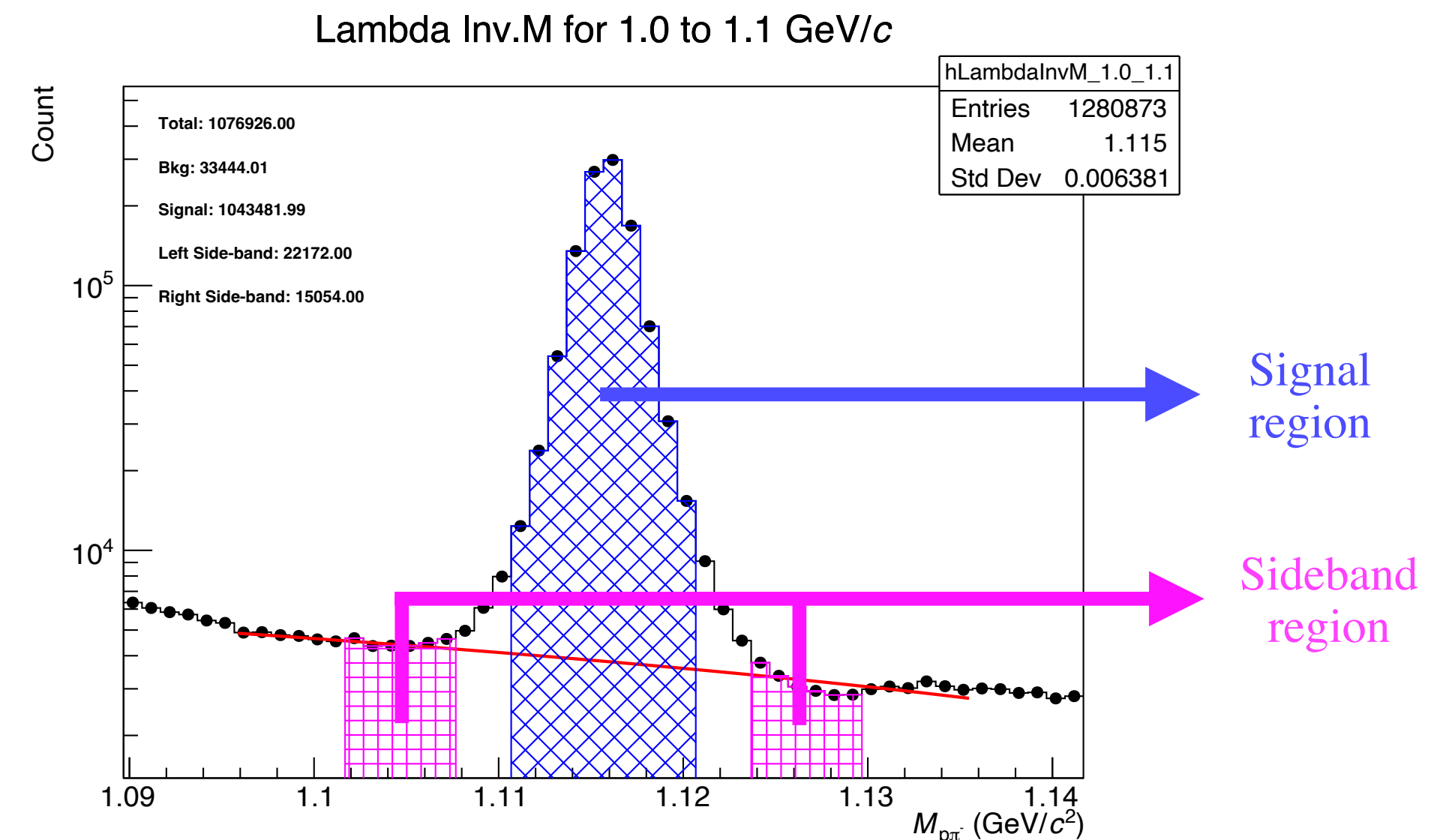


- Correlation function

$$C(\Delta\eta, \Delta\varphi) = \frac{1}{N_{\text{trig}}} \frac{d^2N}{d\Delta\varphi d\Delta\eta}$$

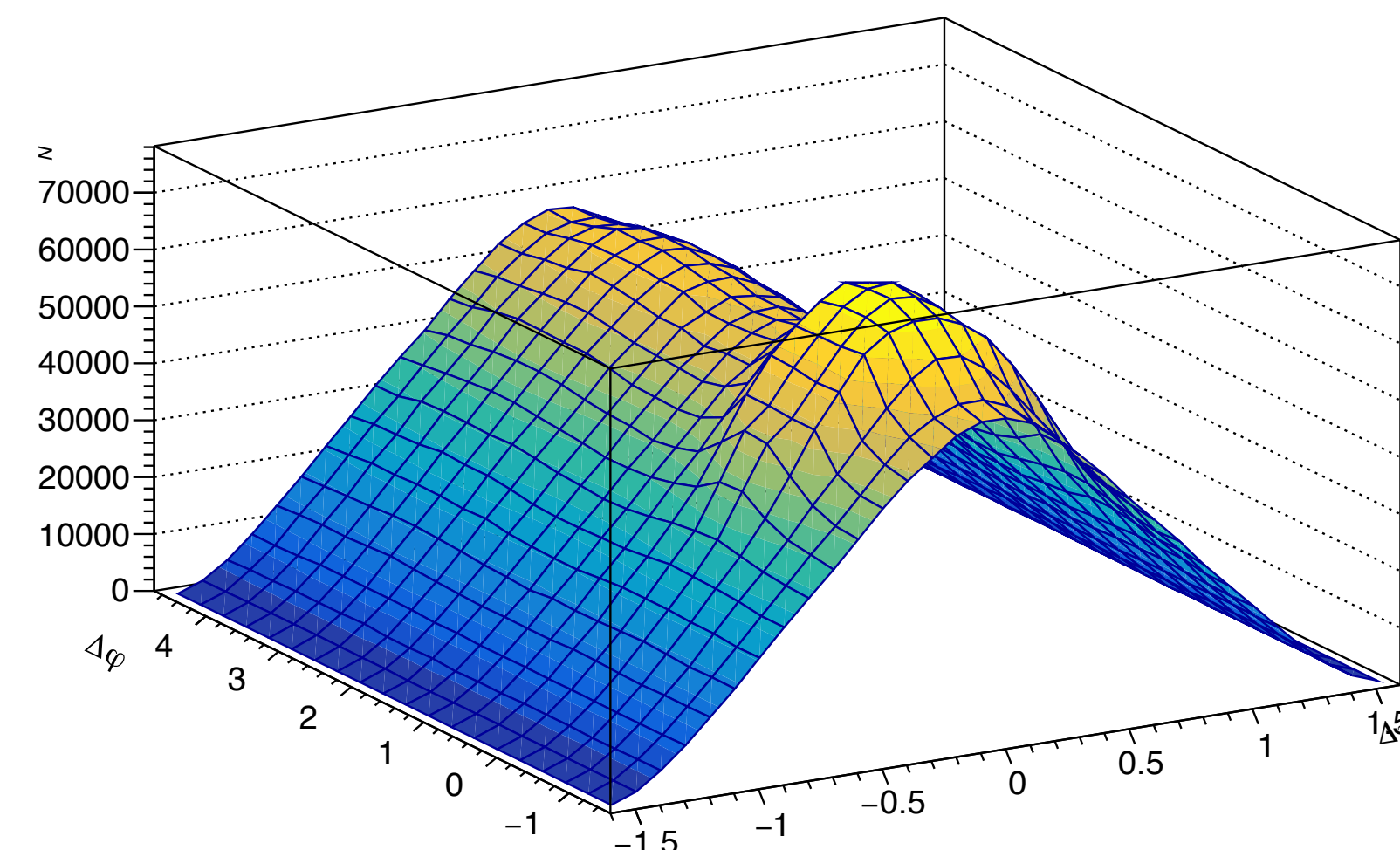
- To build up correlation function

- ① Select **triggers** and **associated particles**
- ② Calculate the differences of azimuthal φ and pseudorapidity η
- ③ Fill the histogram in the $\Delta\eta - \Delta\varphi$



reconstructed trigger Inv.M distribution

regular same-event correlation p_T^{trig} in 1.4 - 1.6 GeV/c and p_T^{assoc} in 0.6 - 0.7 GeV/c (signal region)



an example of the two-particle correlation function

Regular correlation analysis

7

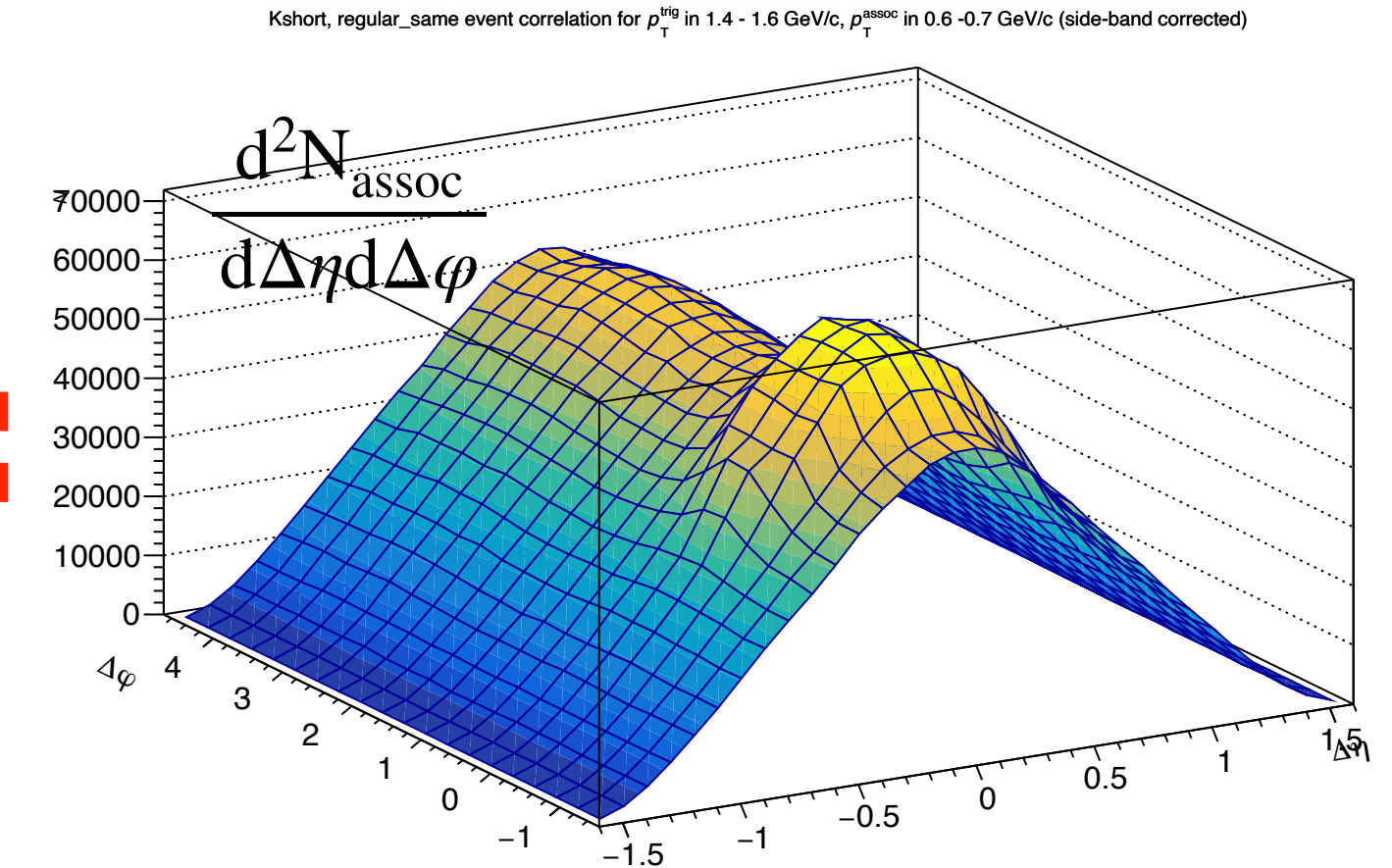
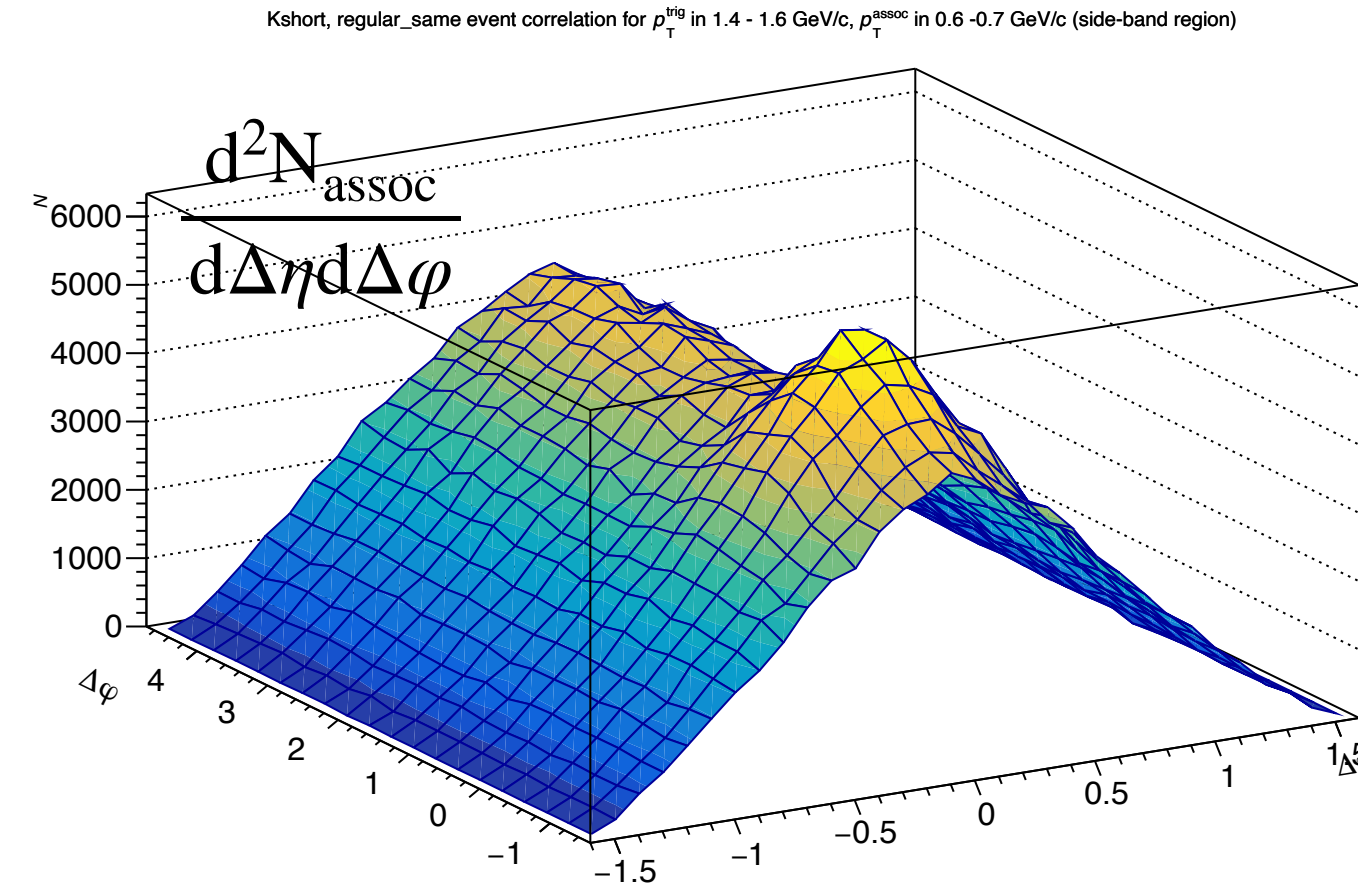
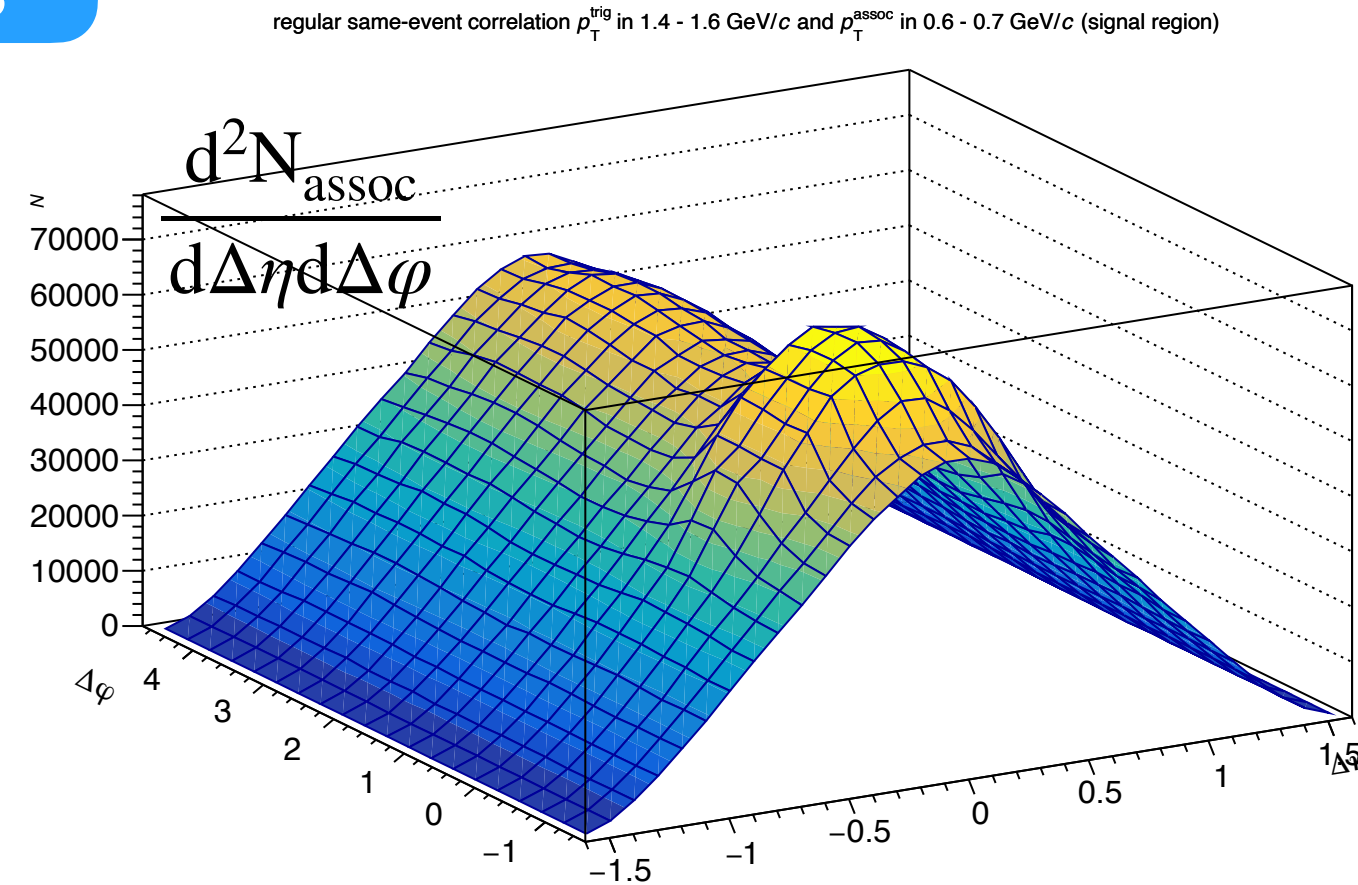
K_S^0

signal region

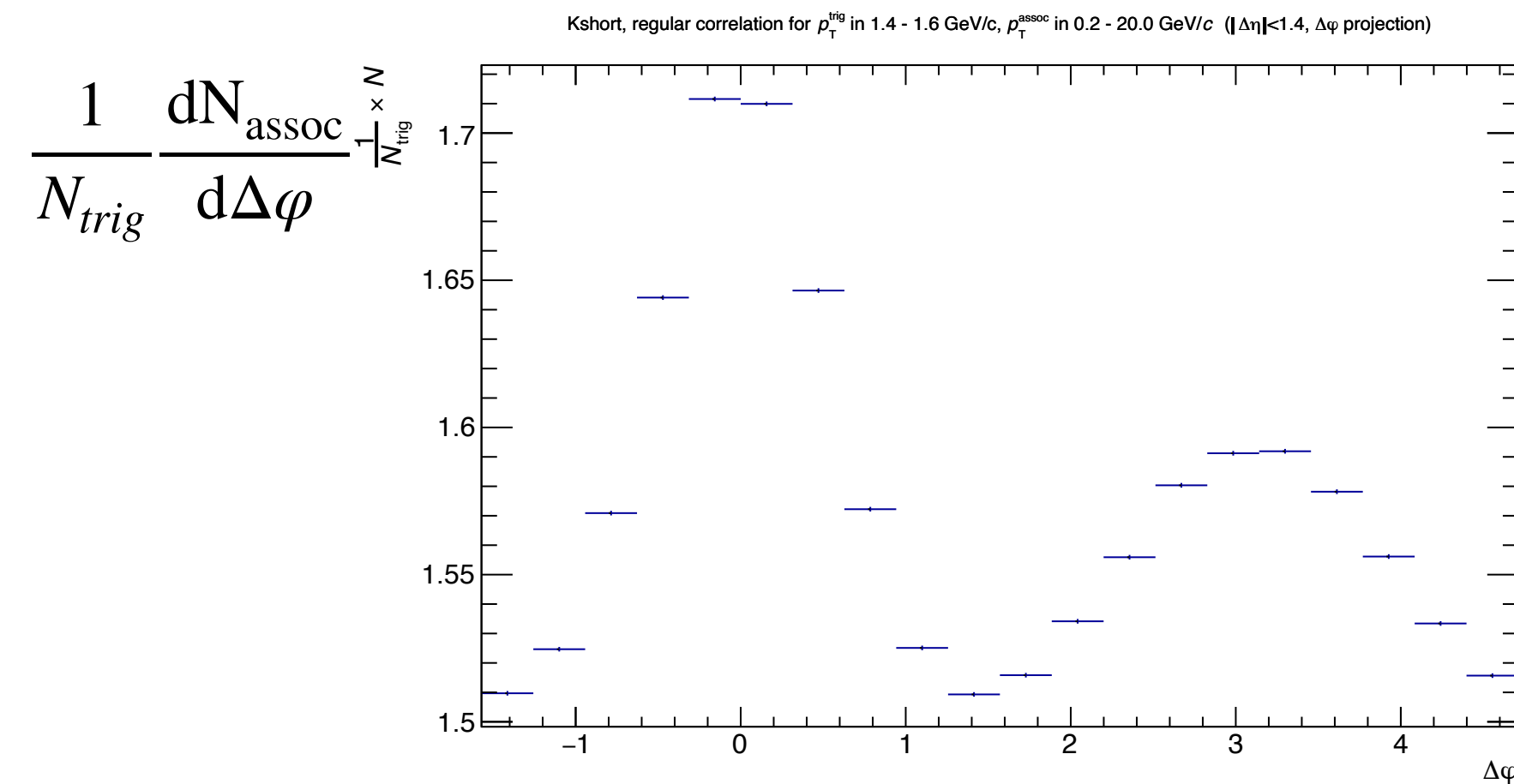
sideband region

sideband corrected

same
event



Example: a regular analysis results for $1.4 \text{ GeV}/c < p_T^{trig} < 1.6 \text{ GeV}/c$ and $0.6 \text{ GeV}/c < p_T^{assoc} < 0.7 \text{ GeV}/c$, inefficiency is considered



- Raw correlation function
 - ➡ Jet yield can be obtained by applying acceptance (mixed event correction) and inefficiency (efficiency correction) corrections, and baseline subtraction

K_S^0

signal region

sideband region

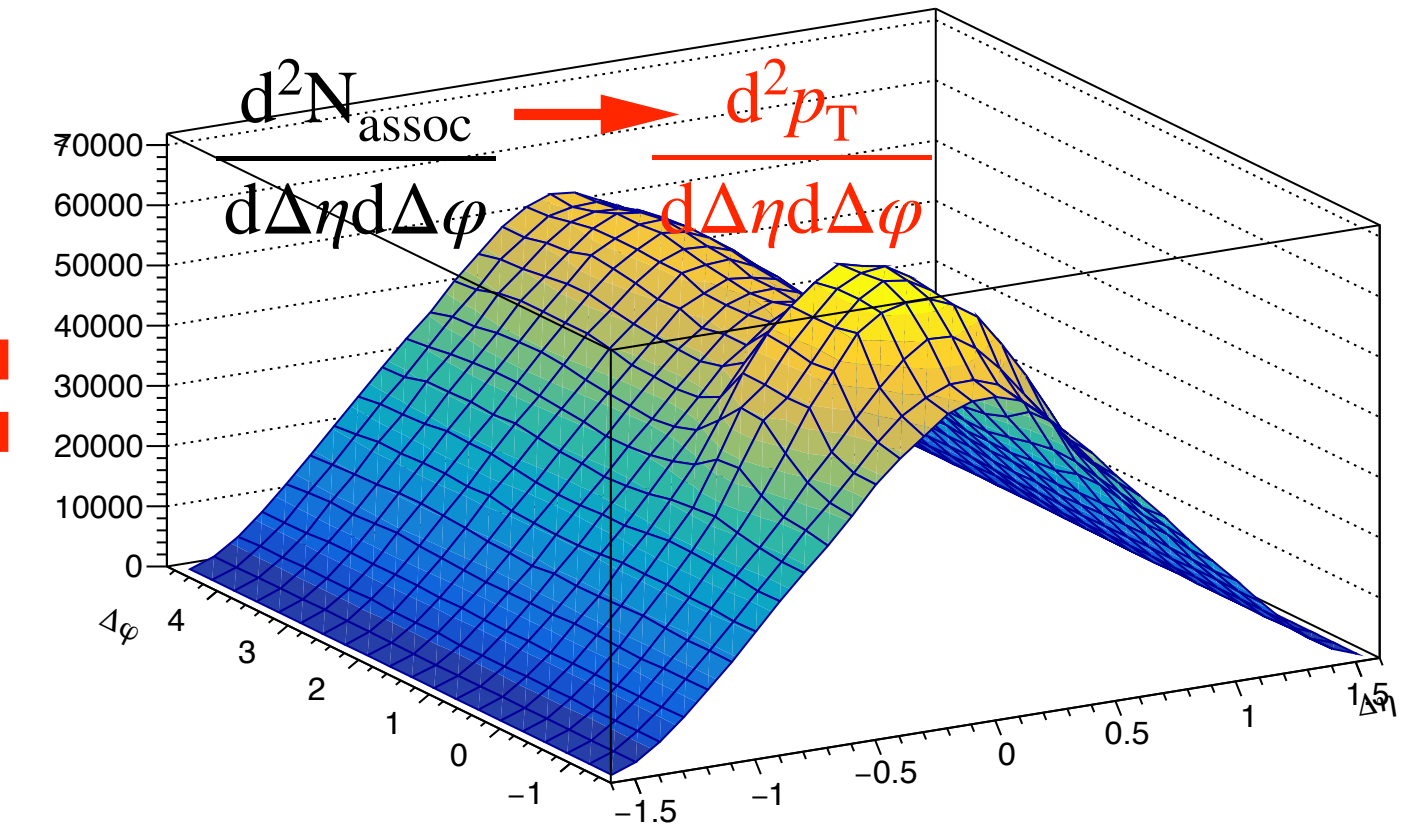
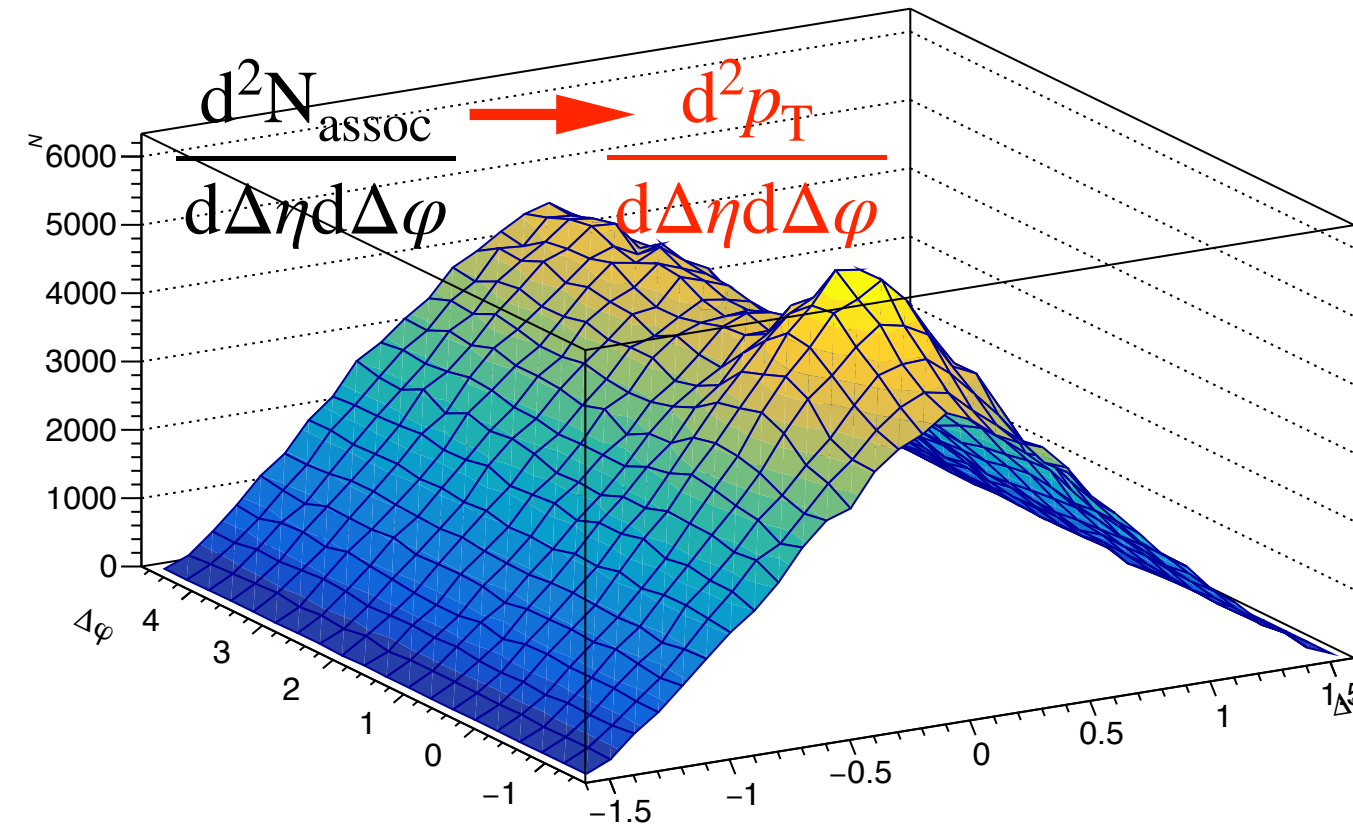
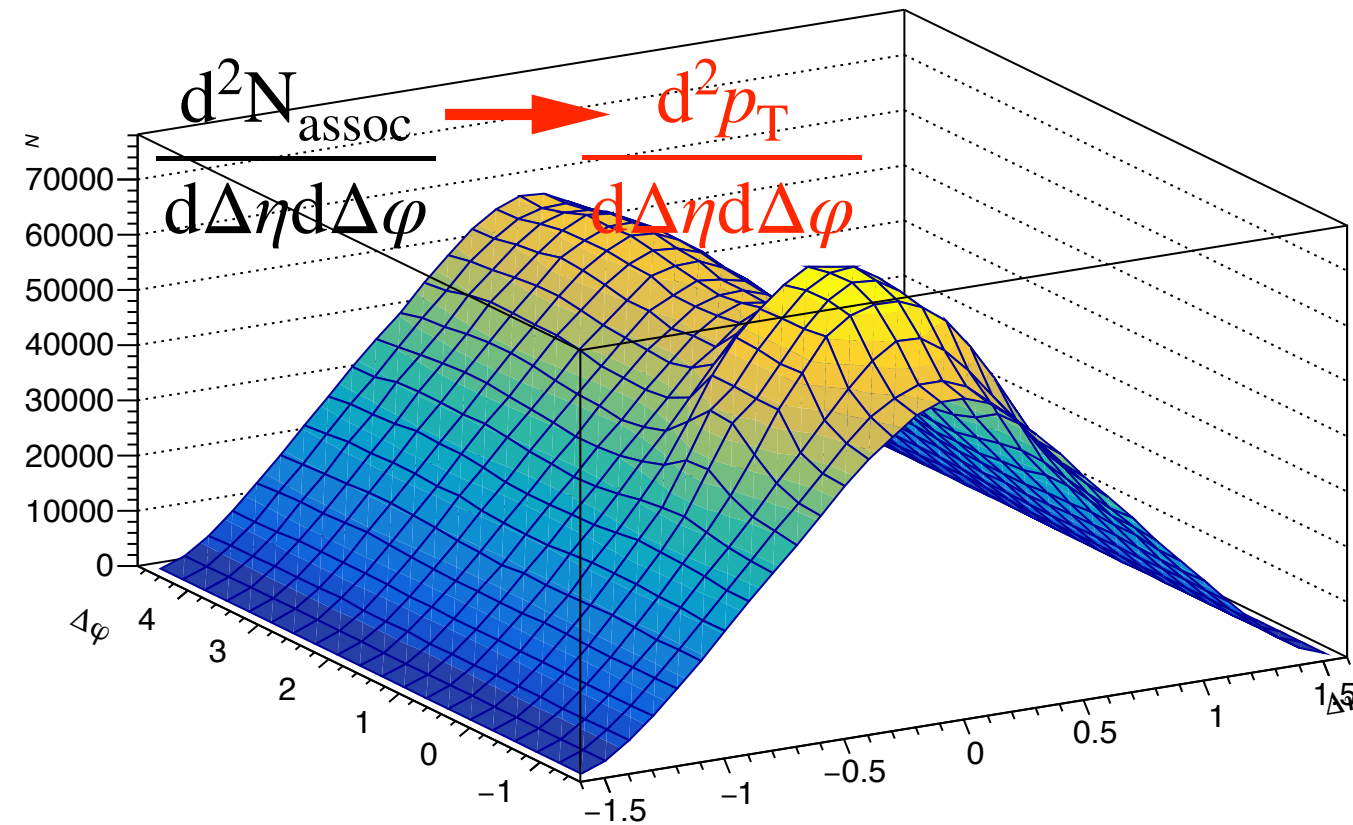
sideband corrected

regular same-event correlation p_T^{trig} in 1.4 - 1.6 GeV/c and p_T^{assoc} in 0.6 - 0.7 GeV/c (signal region)

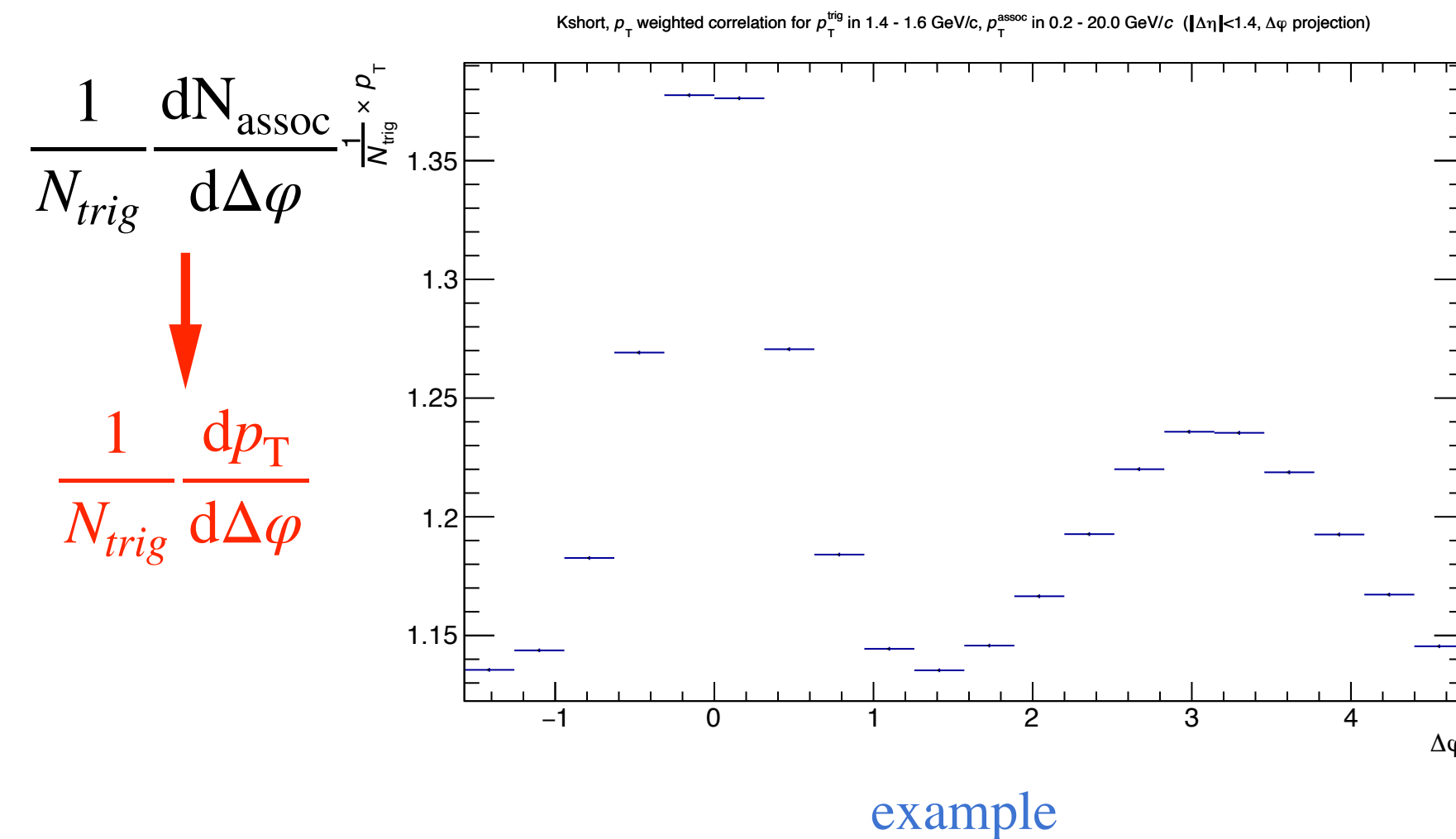
Kshort, regular_same event correlation for p_T^{trig} in 1.4 - 1.6 GeV/c, p_T^{assoc} in 0.6 - 0.7 GeV/c (side-band region)

Kshort, regular_same event correlation for p_T^{trig} in 1.4 - 1.6 GeV/c, p_T^{assoc} in 0.6 - 0.7 GeV/c (side-band corrected)

same event



Example: a regular analysis results for $1.4 \text{ GeV}/c < p_T^{trig} < 1.6 \text{ GeV}/c$ and $0.6 \text{ GeV}/c < p_T^{assoc} < 0.7 \text{ GeV}/c$, inefficiency is considered



- Raw correlation function

➡ Jet yield can be obtained by applying acceptance and inefficiency corrections, and baseline subtraction

- Request in this analysis

$$z = \frac{p_{T,trig}}{p_{T,jet}} = \frac{p_{T,trig}}{p_{T,trig} + \sum p_{T,assoc}}$$

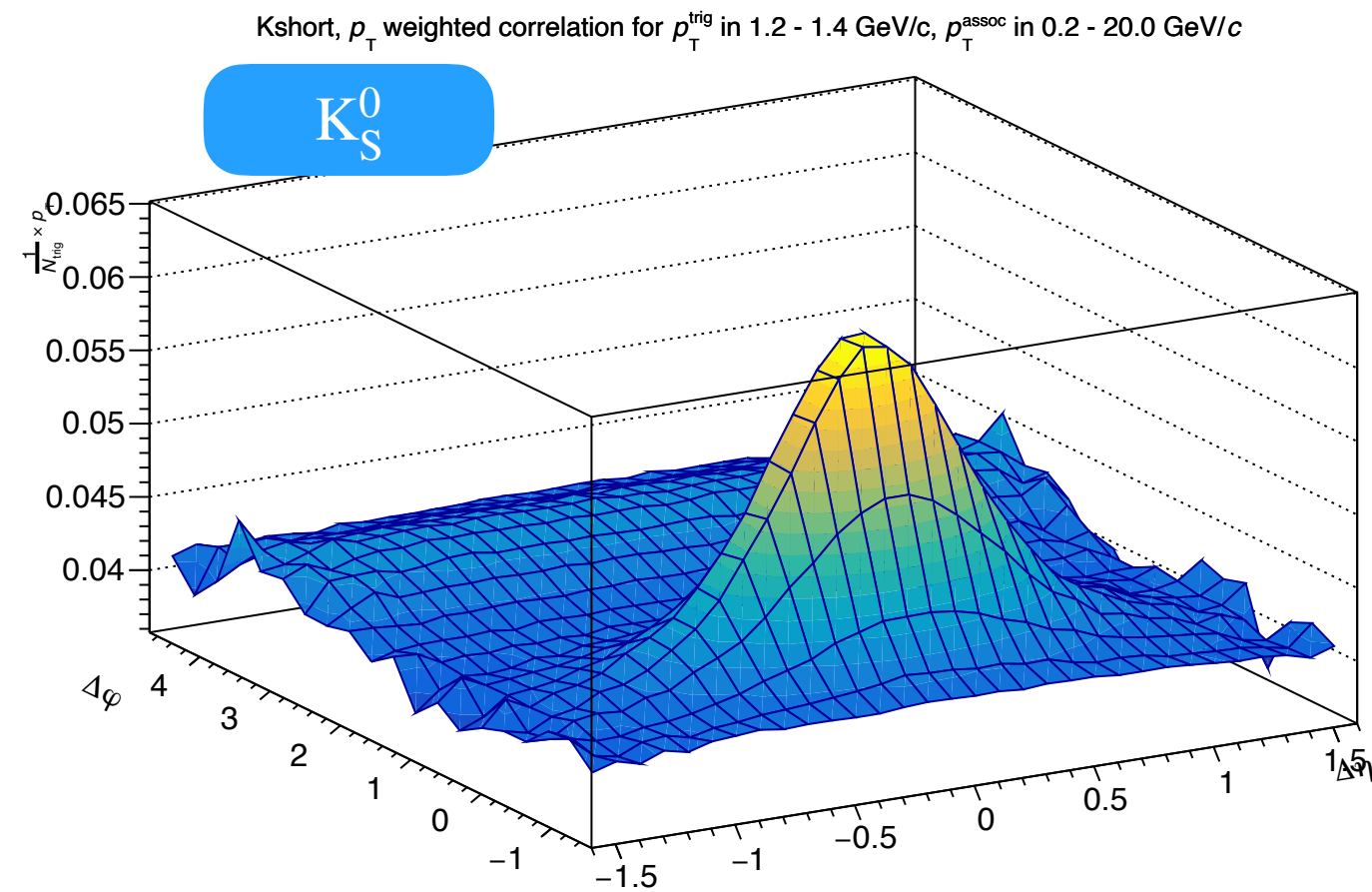
$p_{T,jet}$ represented by the sum p_T of the trigger and near side associated particles

➡ Introduce a p_T weight

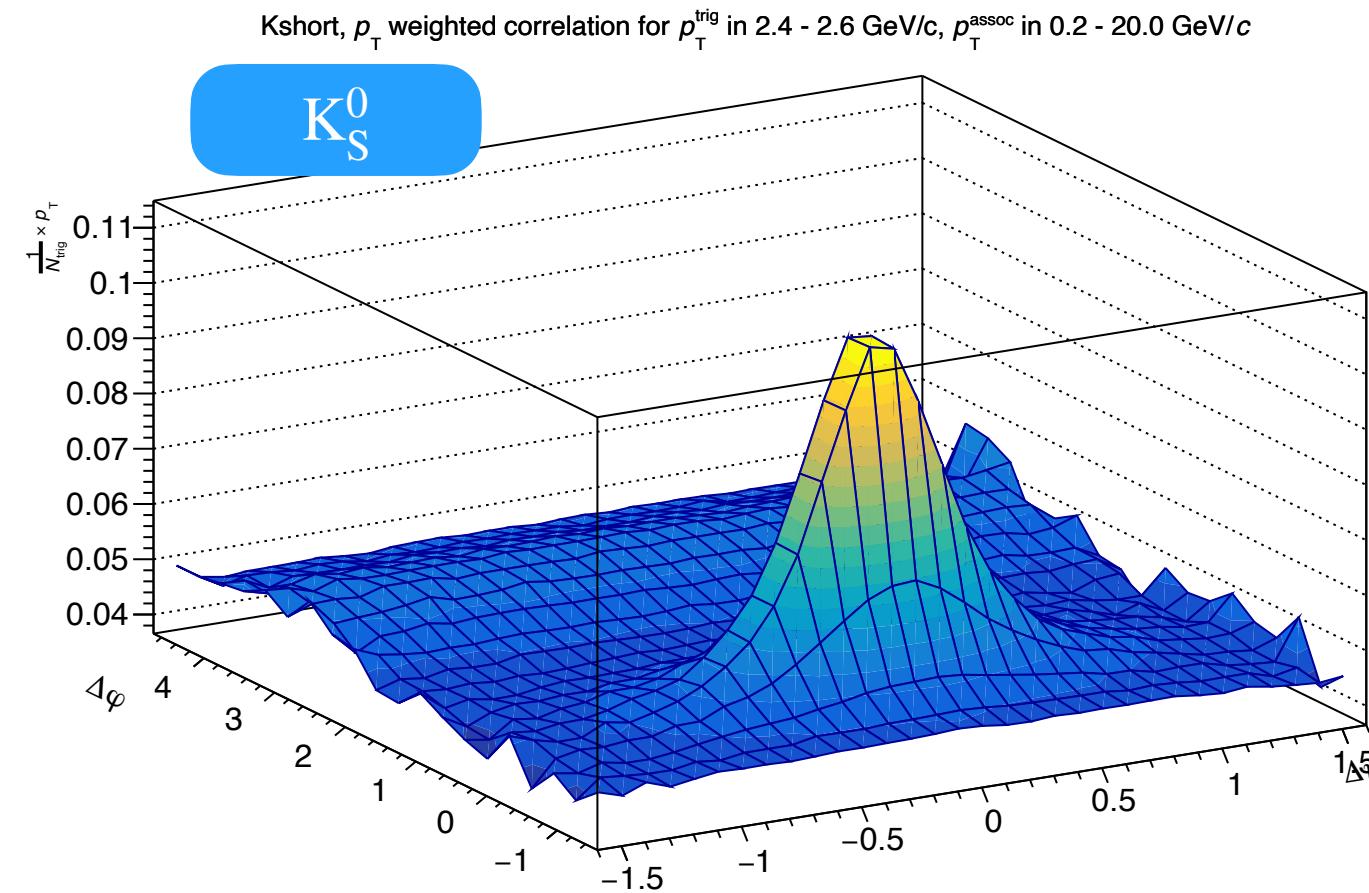
Combined correlation function

9

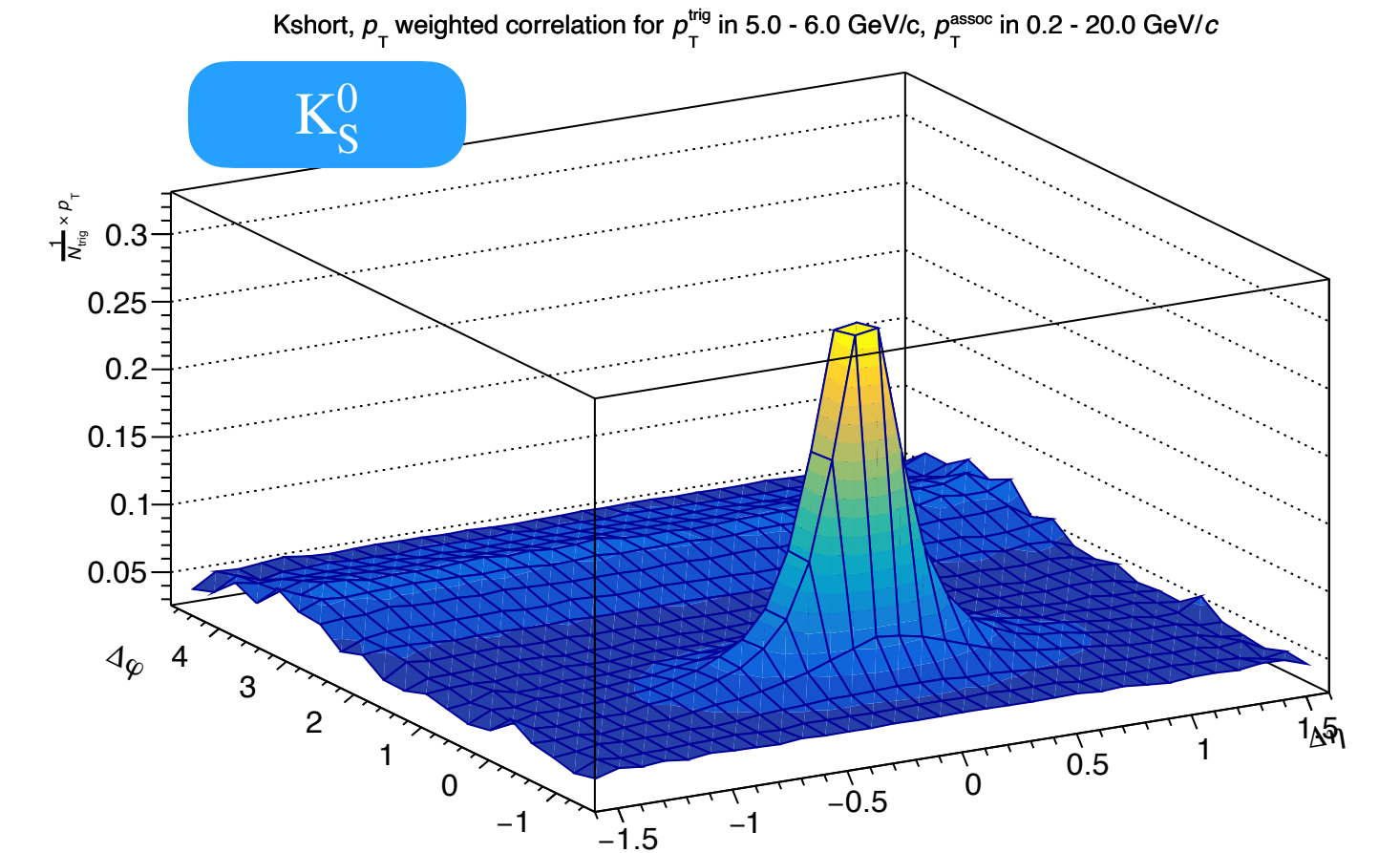
$$1.2 < p_{T, \text{trig}} < 1.4 \text{ GeV}/c$$



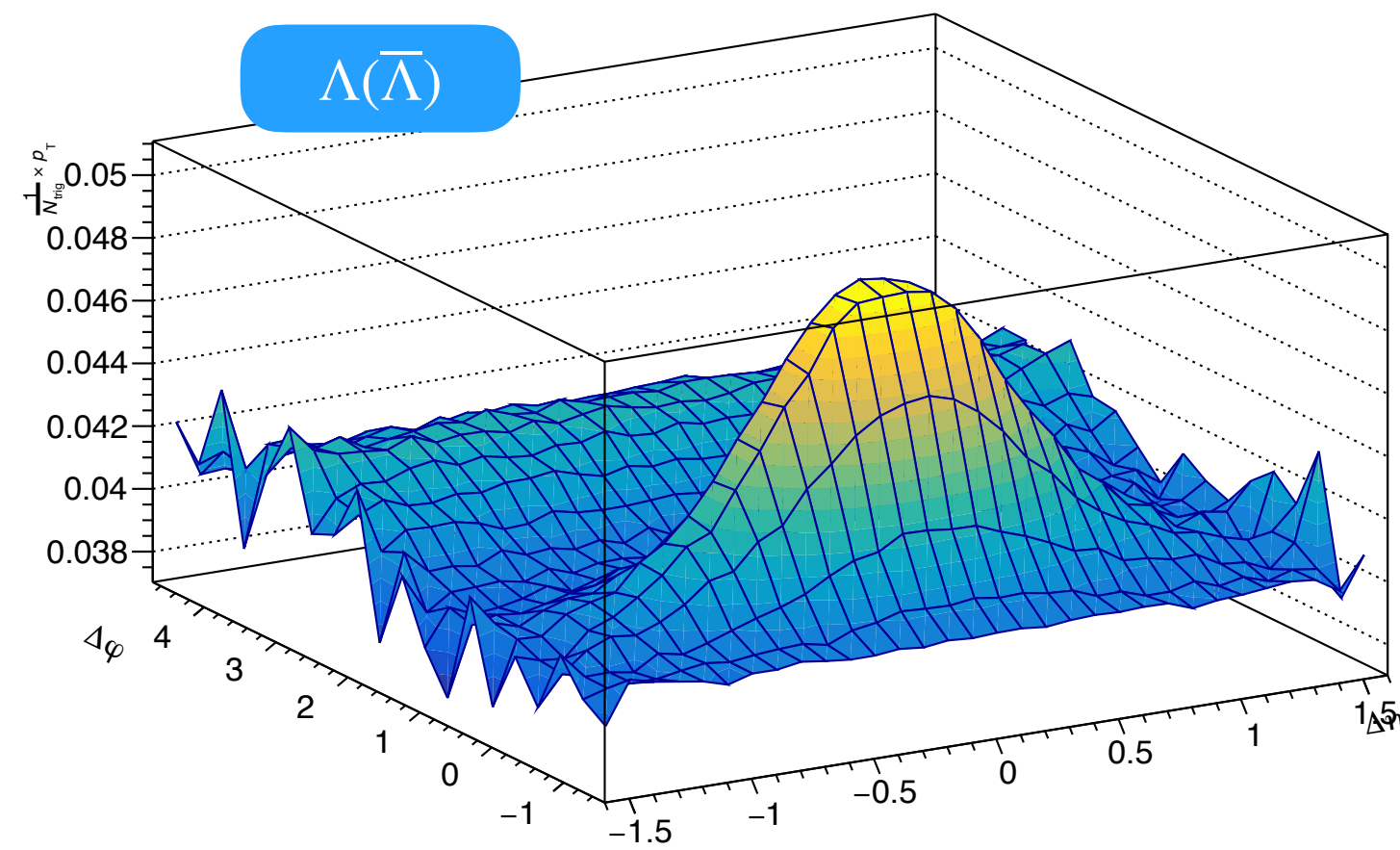
$$2.4 < p_{T, \text{trig}} < 2.6 \text{ GeV}/c$$



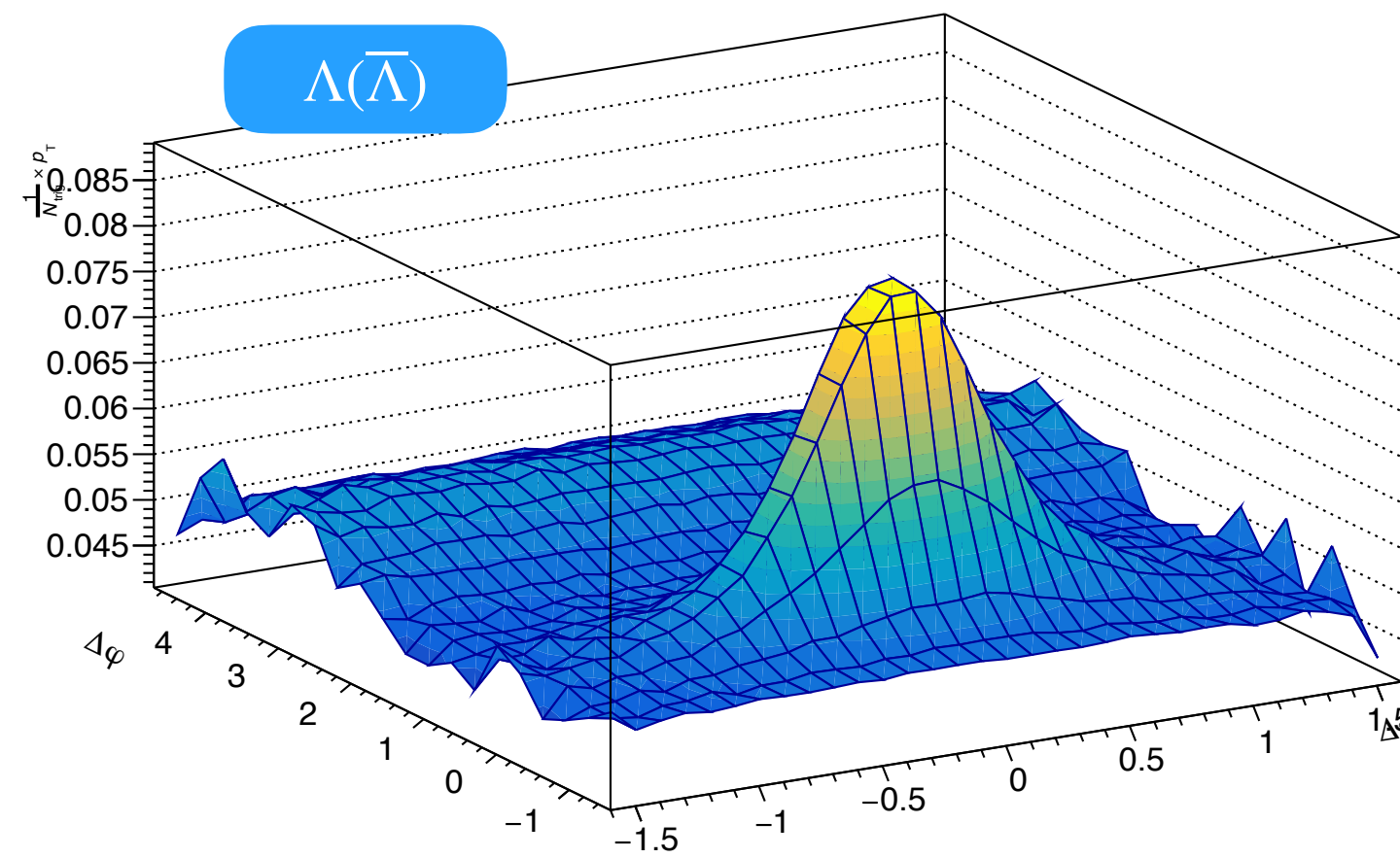
$$5.0 < p_{T, \text{trig}} < 6.0 \text{ GeV}/c$$



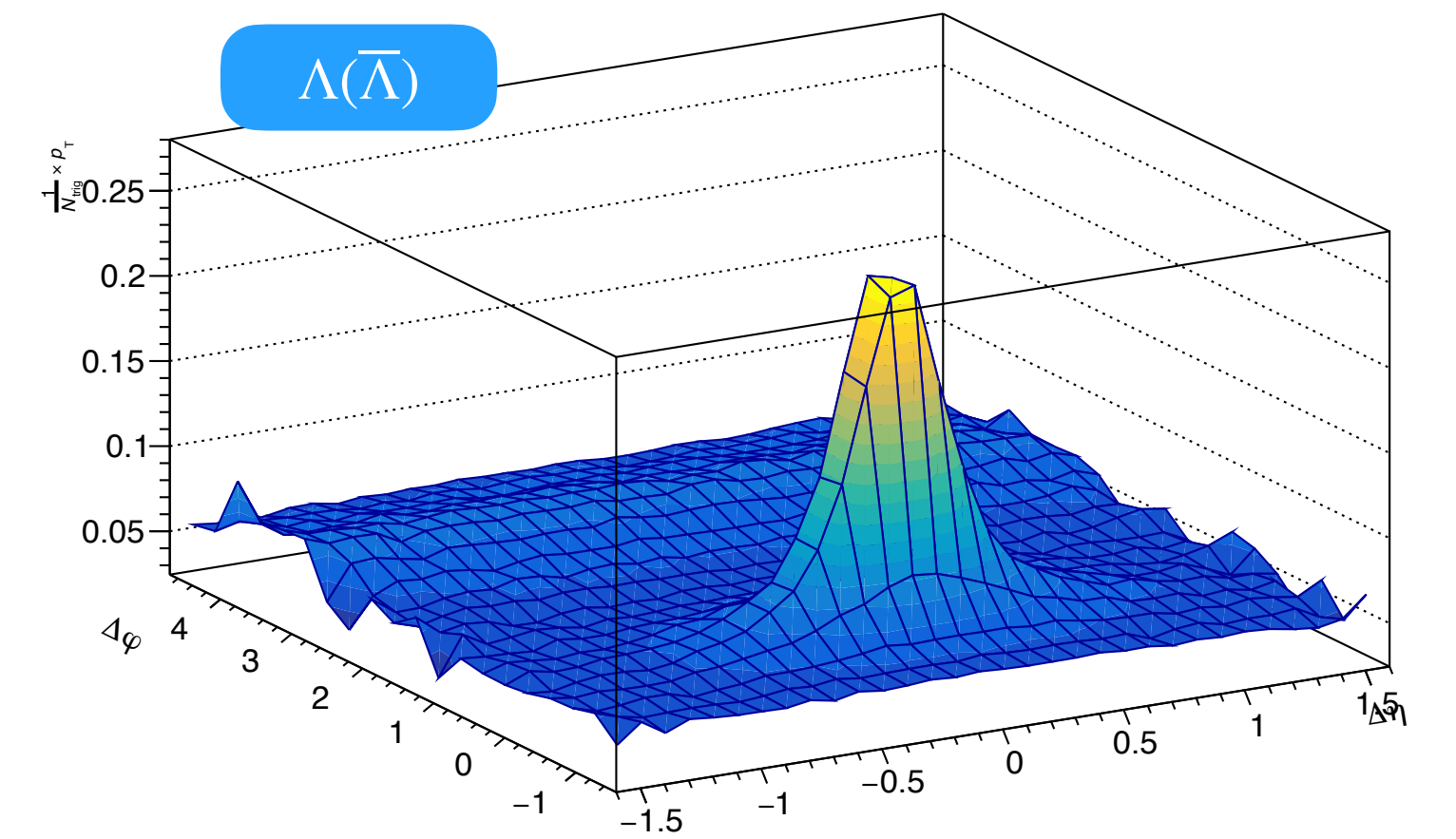
$$\text{LaOrAntiLa, } p_T \text{ weighted correlation for } p_T^{\text{trig}} \text{ in } 1.2 - 1.4 \text{ GeV}/c, p_T^{\text{assoc}} \text{ in } 0.2 - 20.0 \text{ GeV}/c$$



$$\text{LaOrAntiLa, } p_T \text{ weighted correlation for } p_T^{\text{trig}} \text{ in } 2.4 - 2.6 \text{ GeV}/c, p_T^{\text{assoc}} \text{ in } 0.2 - 20.0 \text{ GeV}/c$$

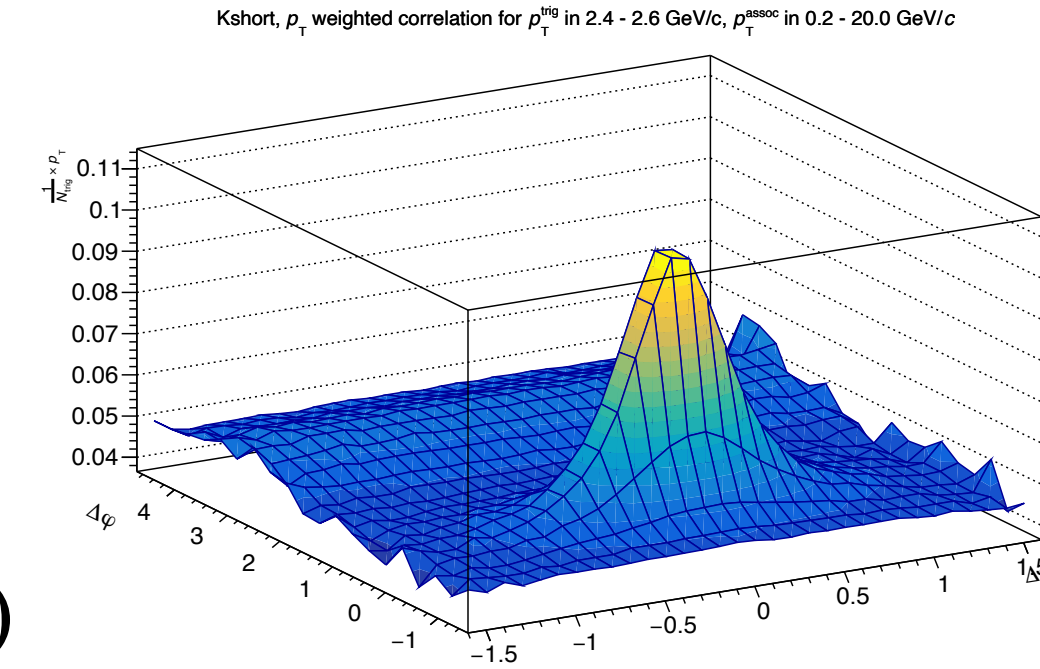


$$\text{LaOrAntiLa, } p_T \text{ weighted correlation for } p_T^{\text{trig}} \text{ in } 5.0 - 6.0 \text{ GeV}/c, p_T^{\text{assoc}} \text{ in } 0.2 - 20.0 \text{ GeV}/c$$



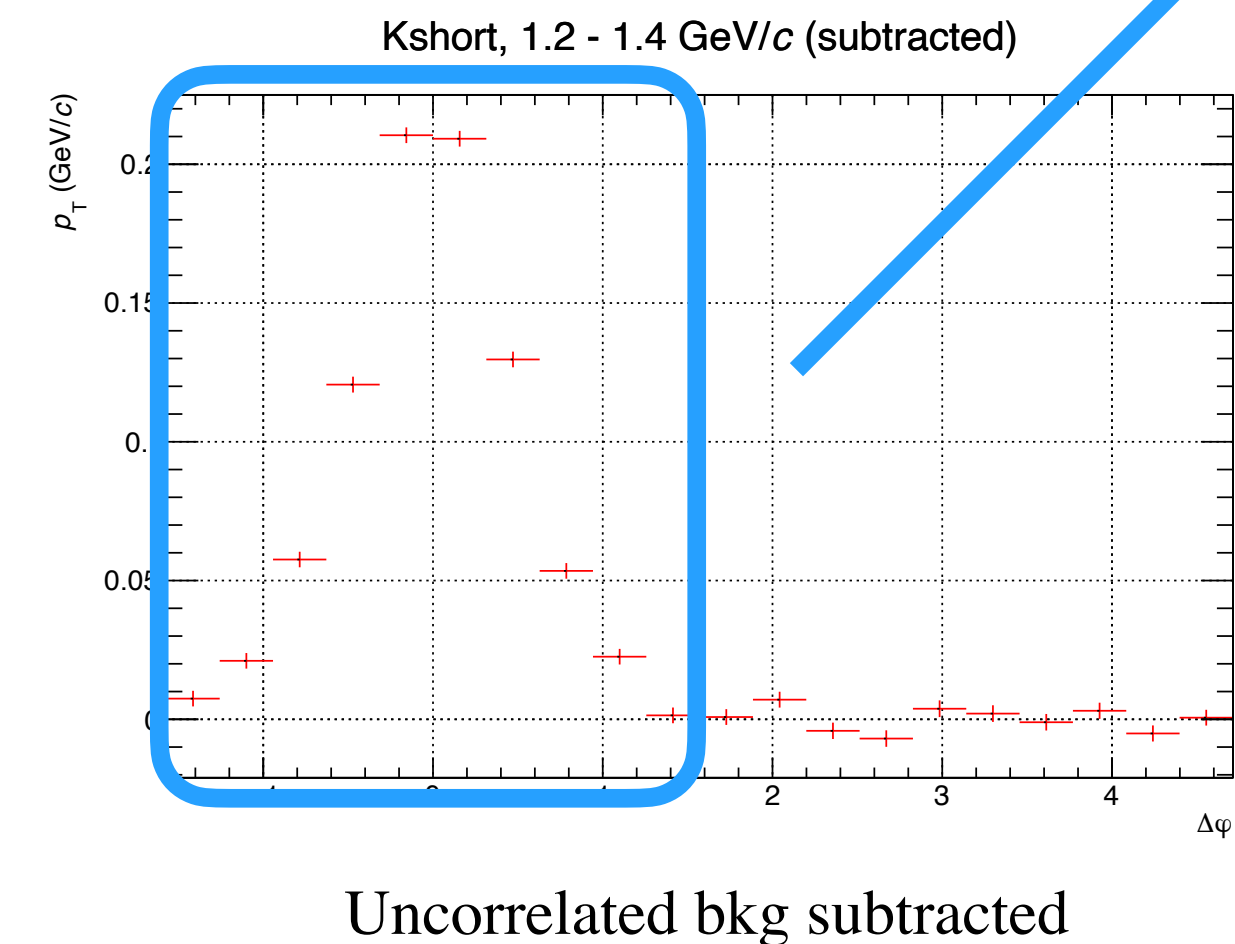
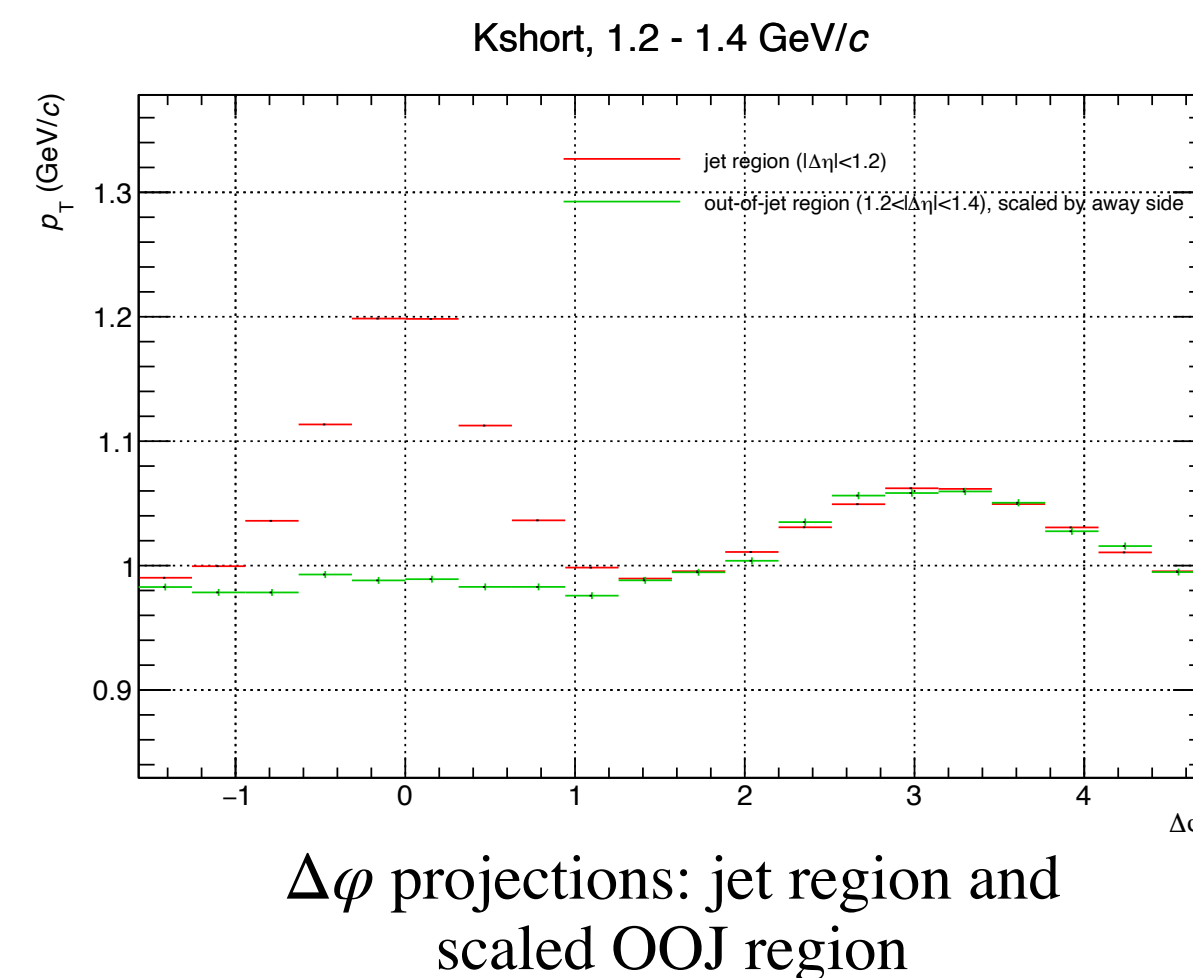
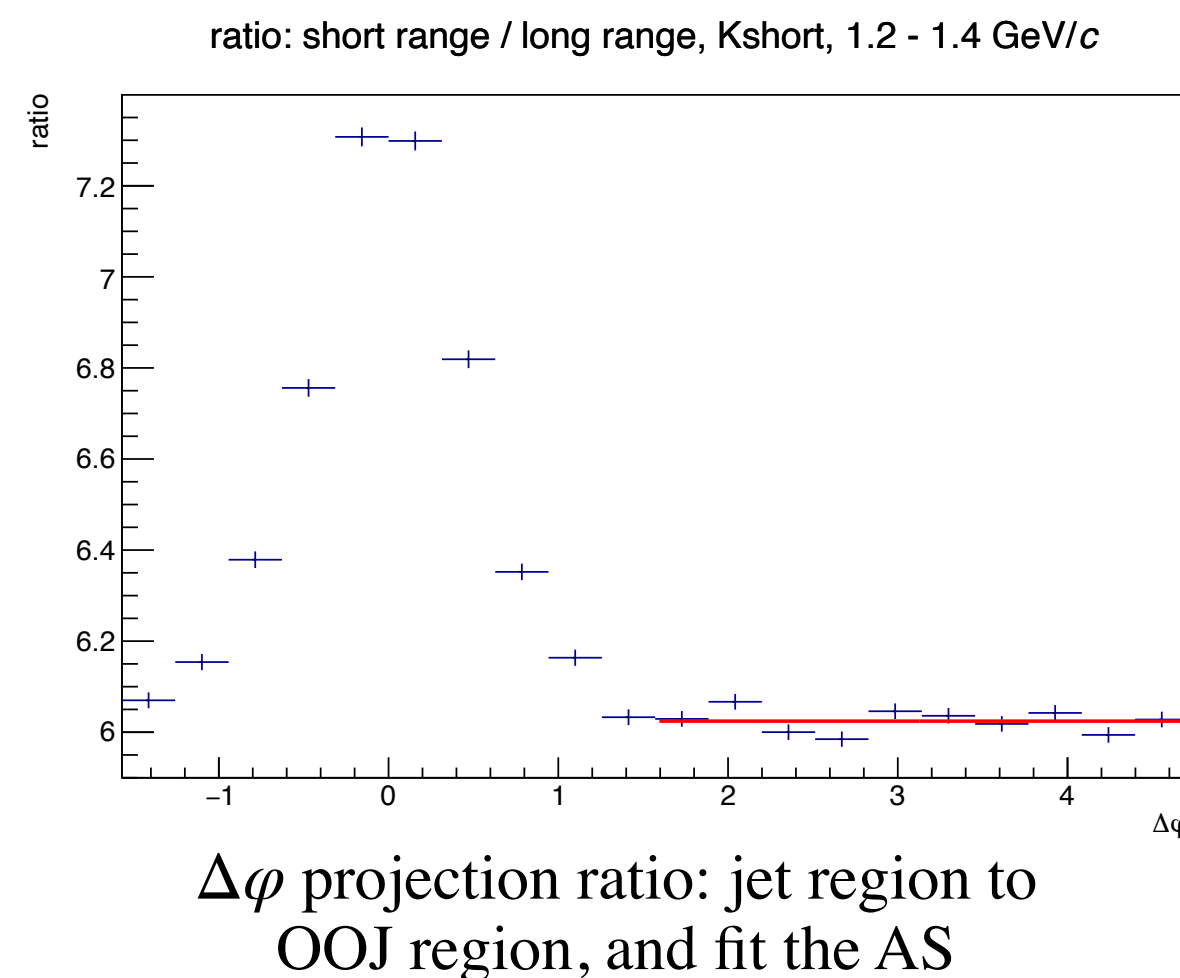
η gap method

- Jet region: $|\Delta\eta| < 1.2$, out-of-jet (OOJ) region: $1.2 < |\Delta\eta| < 1.4$
- Make $\Delta\varphi$ projections within the jet and OOJ region, respectively
- Make ratio of the $\Delta\varphi$ projections and fit the away side with a constant, fitting range: (1.58, 4.71)
- Scale the $\Delta\varphi$ projections associated to the OOJ region by the fit results
- Subtract the scale plot from the $\Delta\varphi$ projections associated to the jet region



$$z = \frac{p_{T,\text{trig}}}{p_{T,\text{trig}} + \sum p_{T,\text{assoc}}}$$

Example: K_S^0 as trigger, $1.2 < p_{T,\text{trig}} < 1.4$ GeV/c



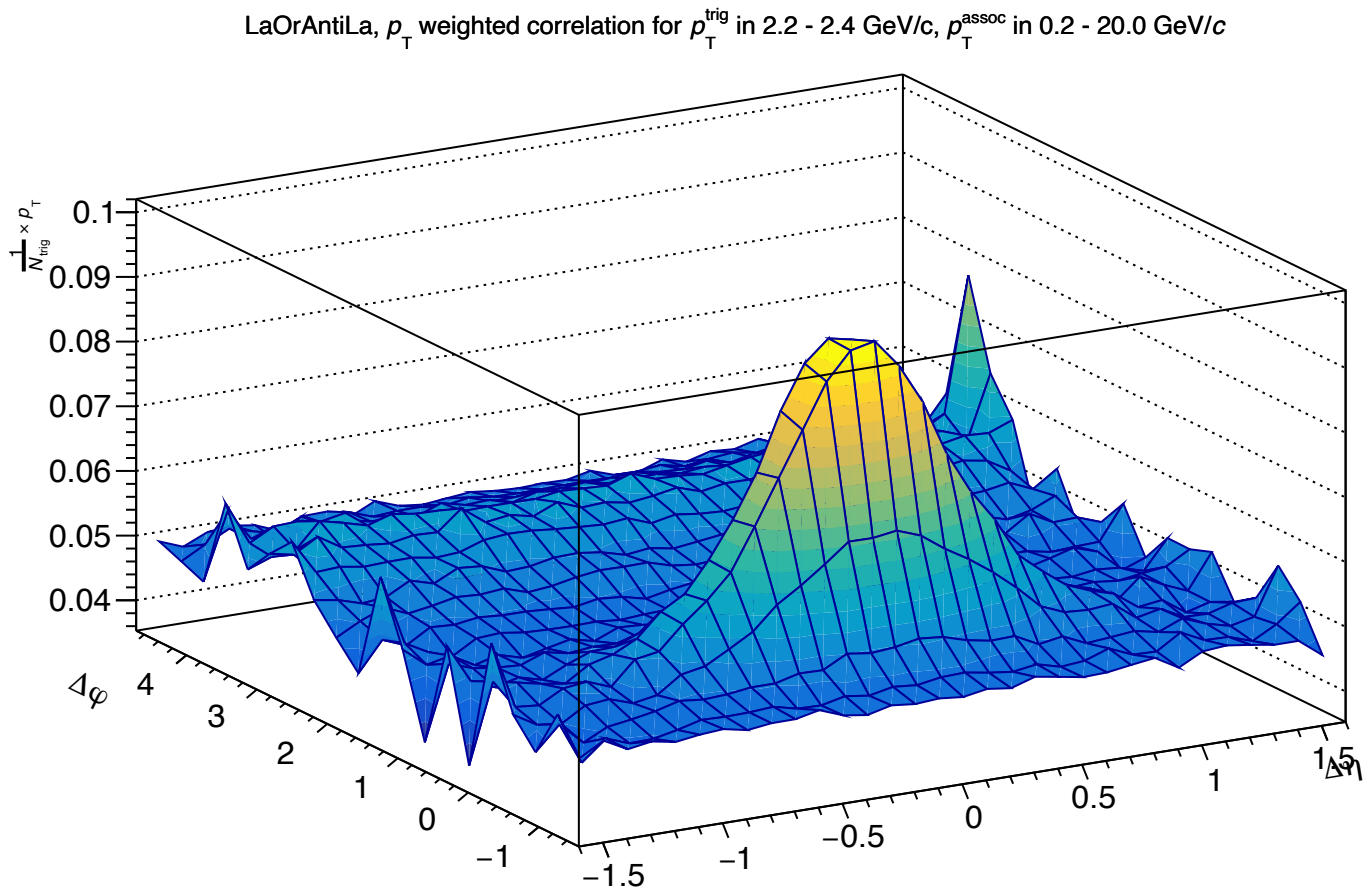
- Make a 2D template correction on the weighted CF

Phys. Rev. C 111 (2025) 015201

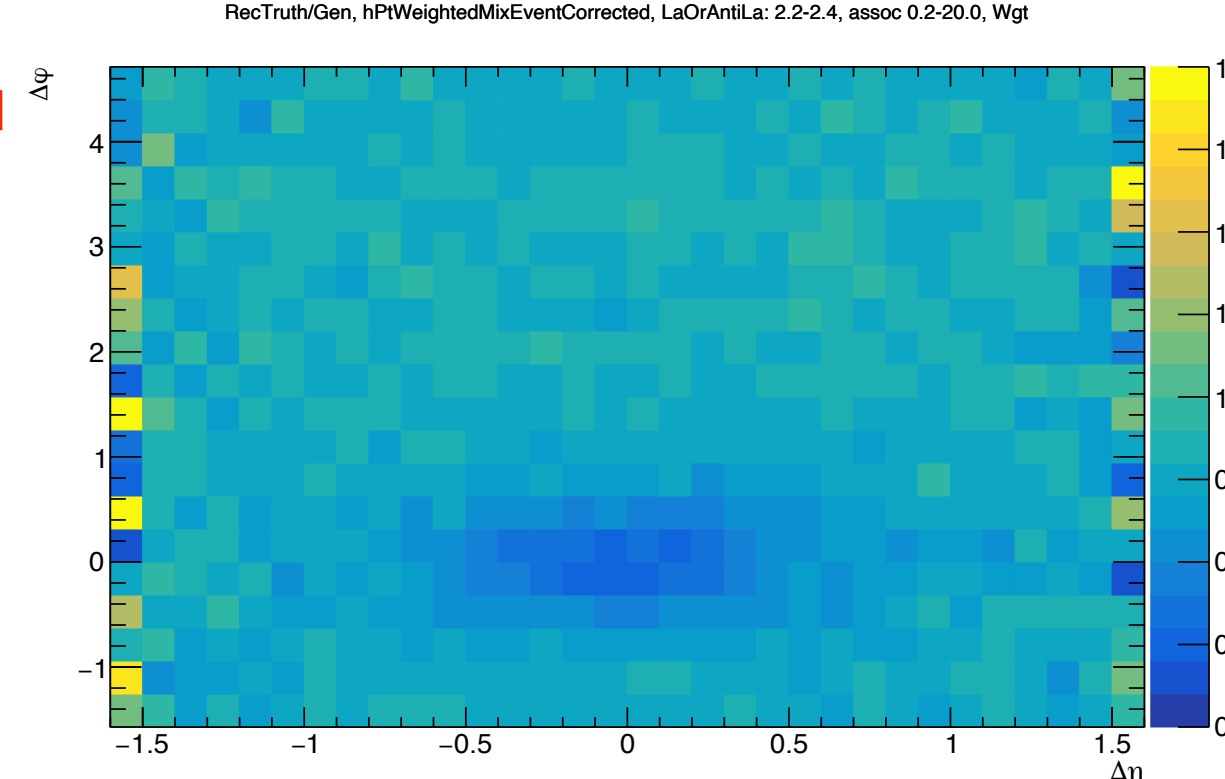
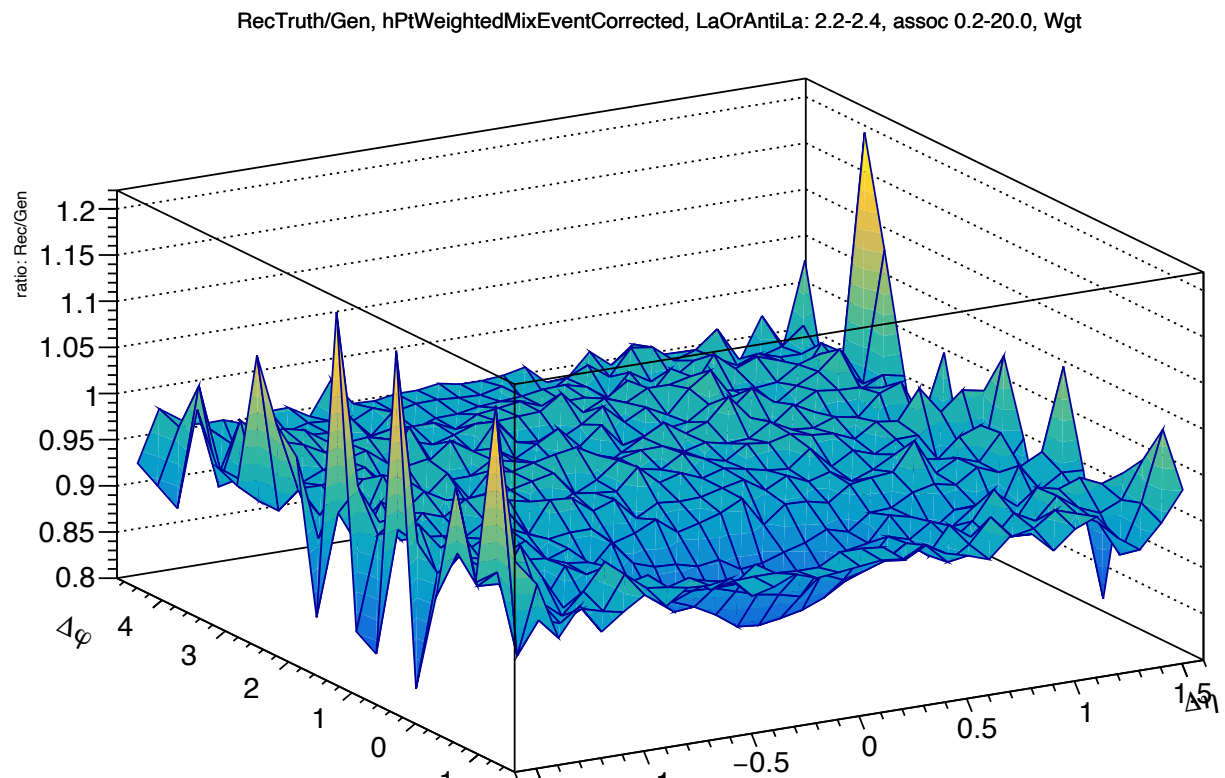
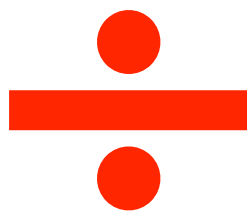
$$C_{\text{wgt}}^{\text{uncorrected for 2D map}} \times \left(\frac{C_{\text{wgt}}^{\text{Rec Truth}}}{C_{\text{wgt}}^{\text{Gen}}} \right)^{-1} = C_{\text{wgt}}^{\text{corrected for 2D map}}$$

The 2D map

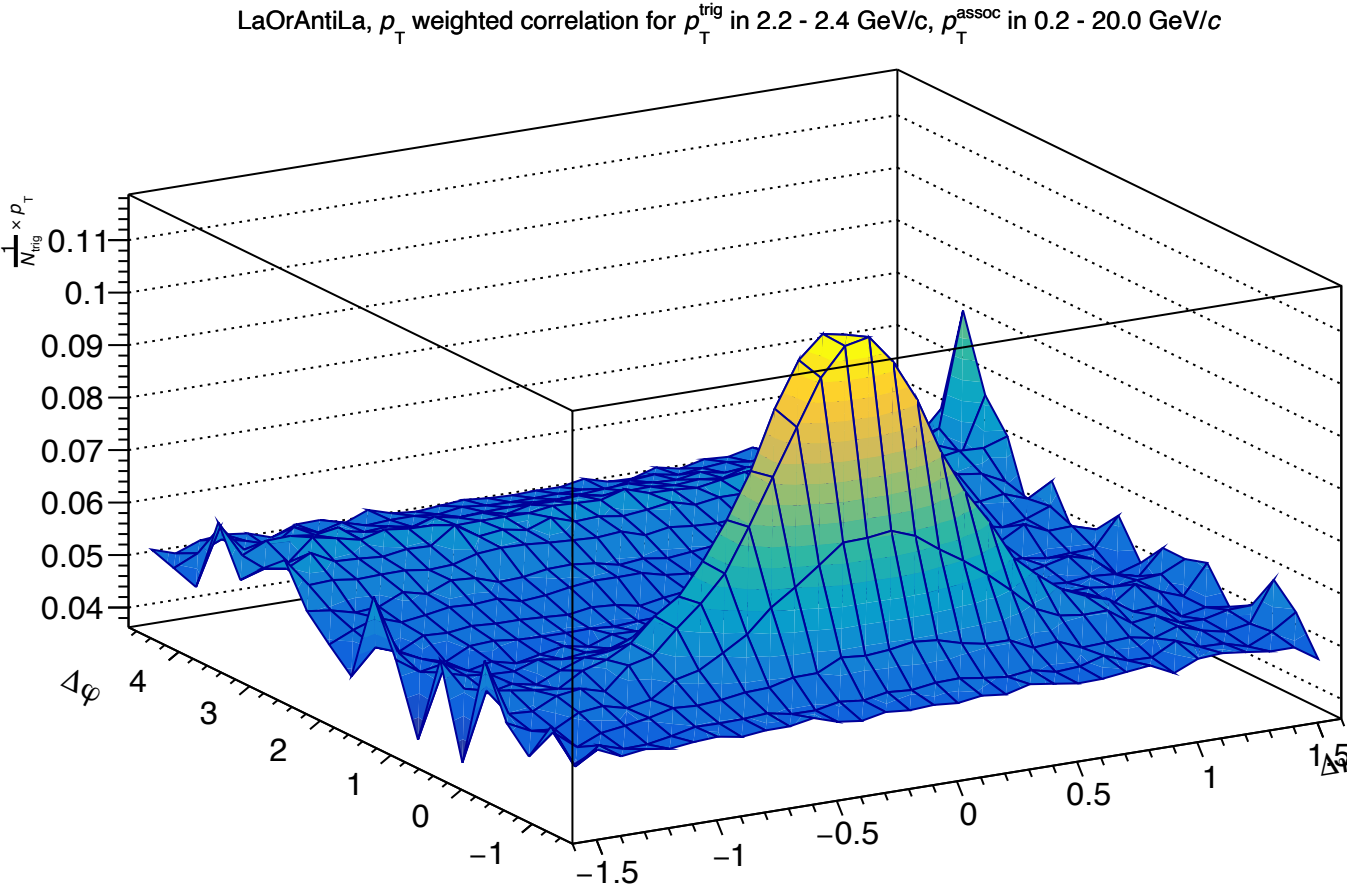
- “Rec Truth” means the results using the reconstructed $\Lambda(\bar{\Lambda})$ with their true kinematics



Rec



2D map: Rec Truth/Gen



Corrected

Fitting function:

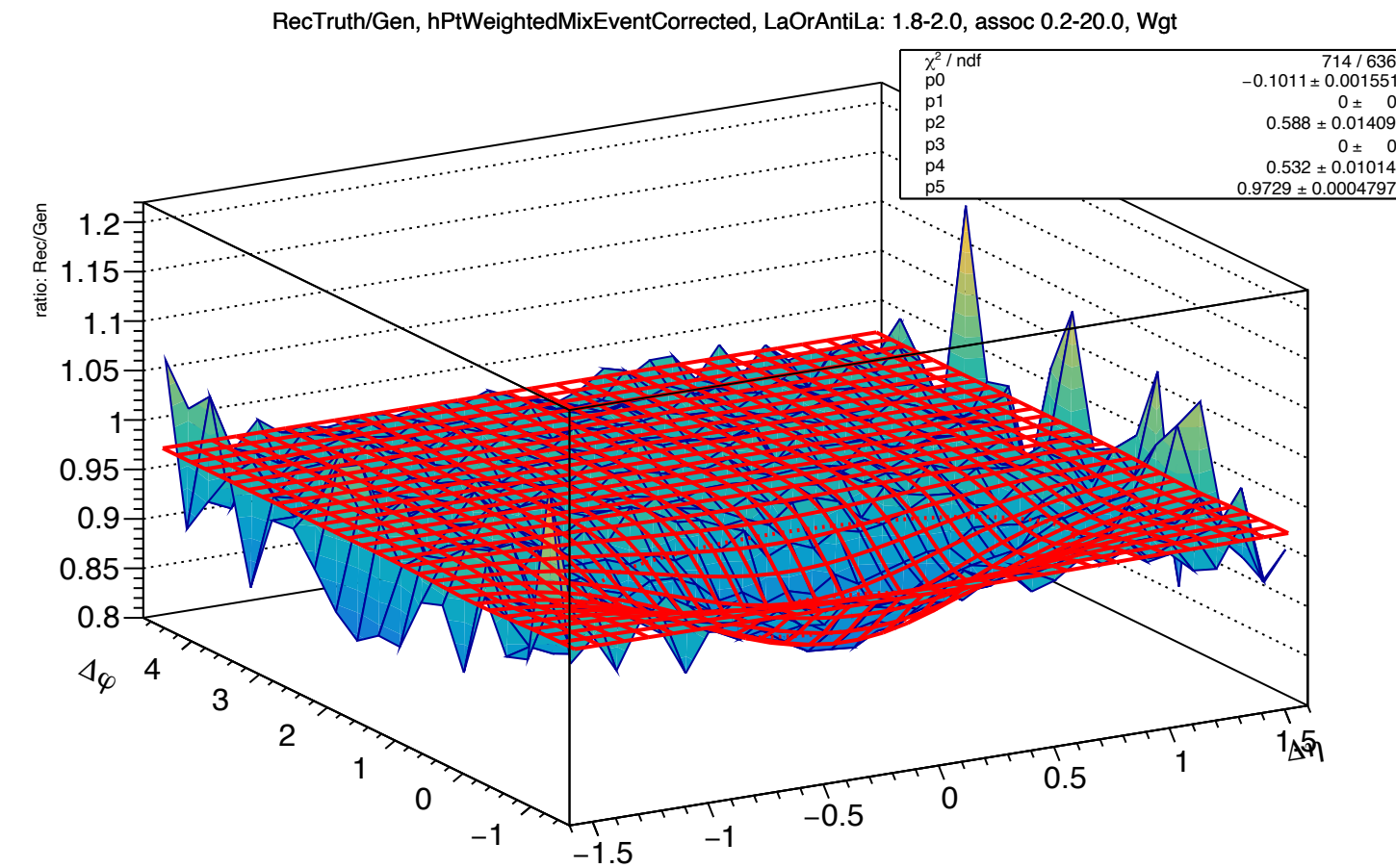
$$f(x, y) = Ae^{-\frac{(x - \mu_x)^2}{2\sigma_x^2} - \frac{(y - \mu_y)^2}{2\sigma_y^2}} + C$$

Parameter initialization:

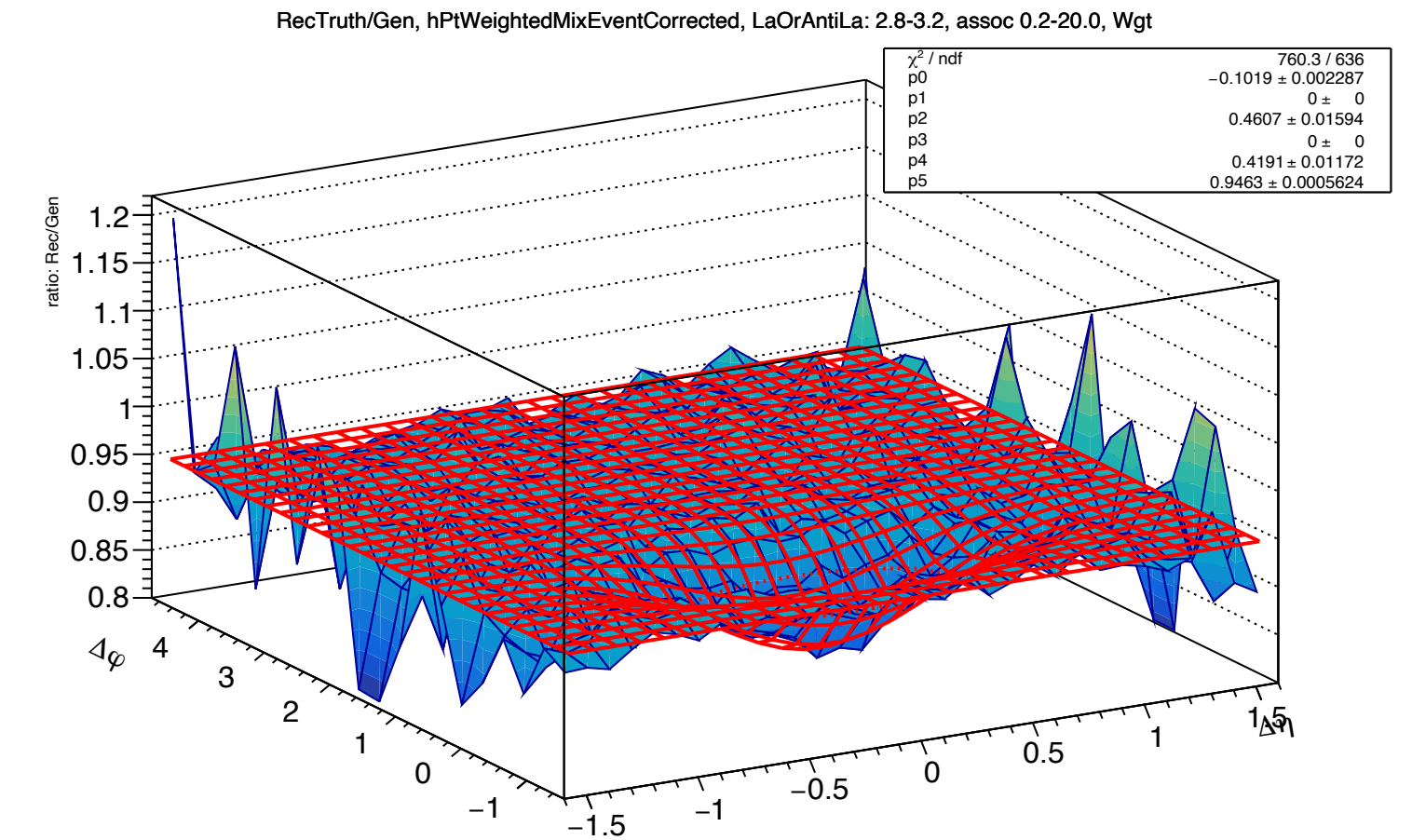
$$\begin{aligned} \mu_x &= \mu_y = 0 \text{ (fixed);} \\ \sigma_x &= 0.4 \text{ (0.1 for the first interval);} \\ \sigma_y &= 0.2; \\ C &= 1.0 \end{aligned}$$

- Overall, the fit results well-describe the 2D maps for $p_T < 6 \text{ GeV}/c$

1.8-2.0 GeV/c

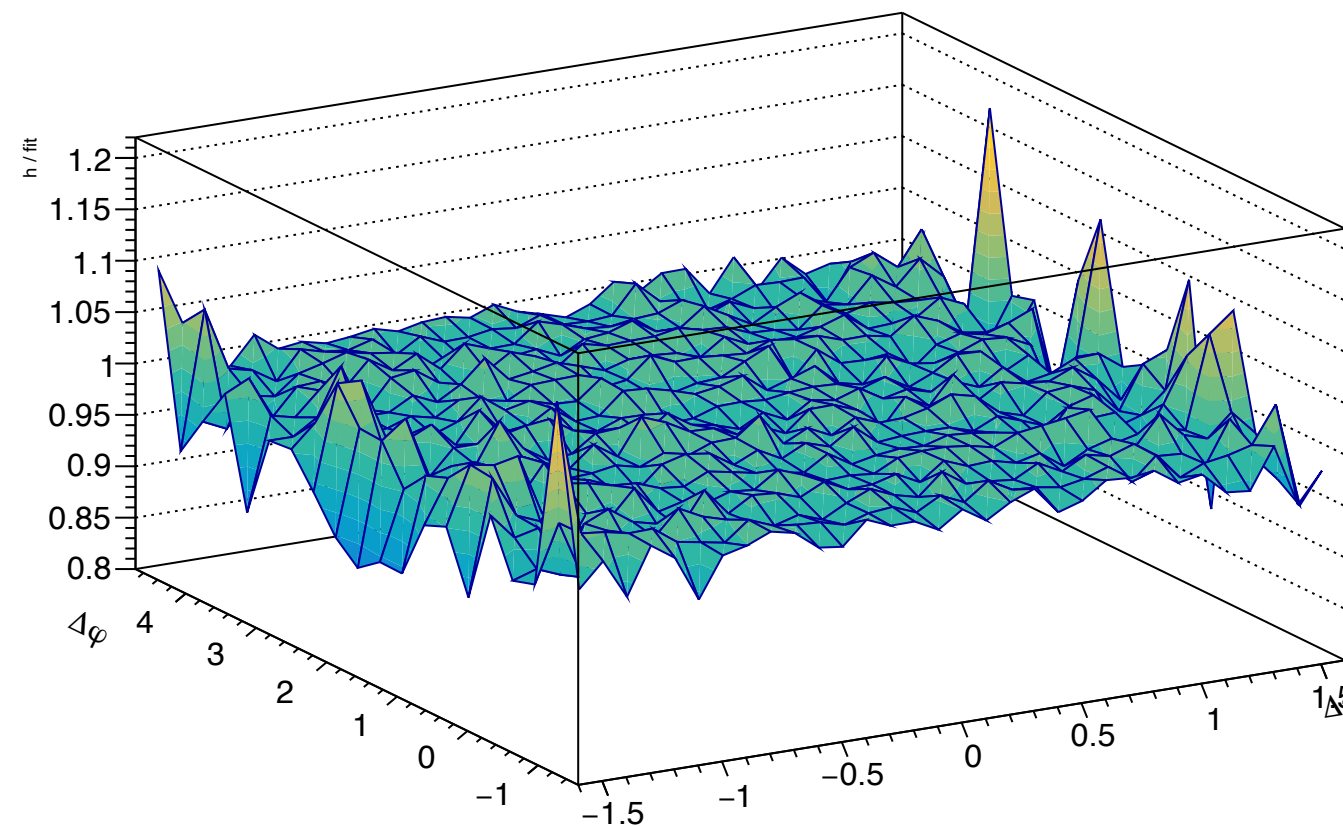


2.8-3.2 GeV/c

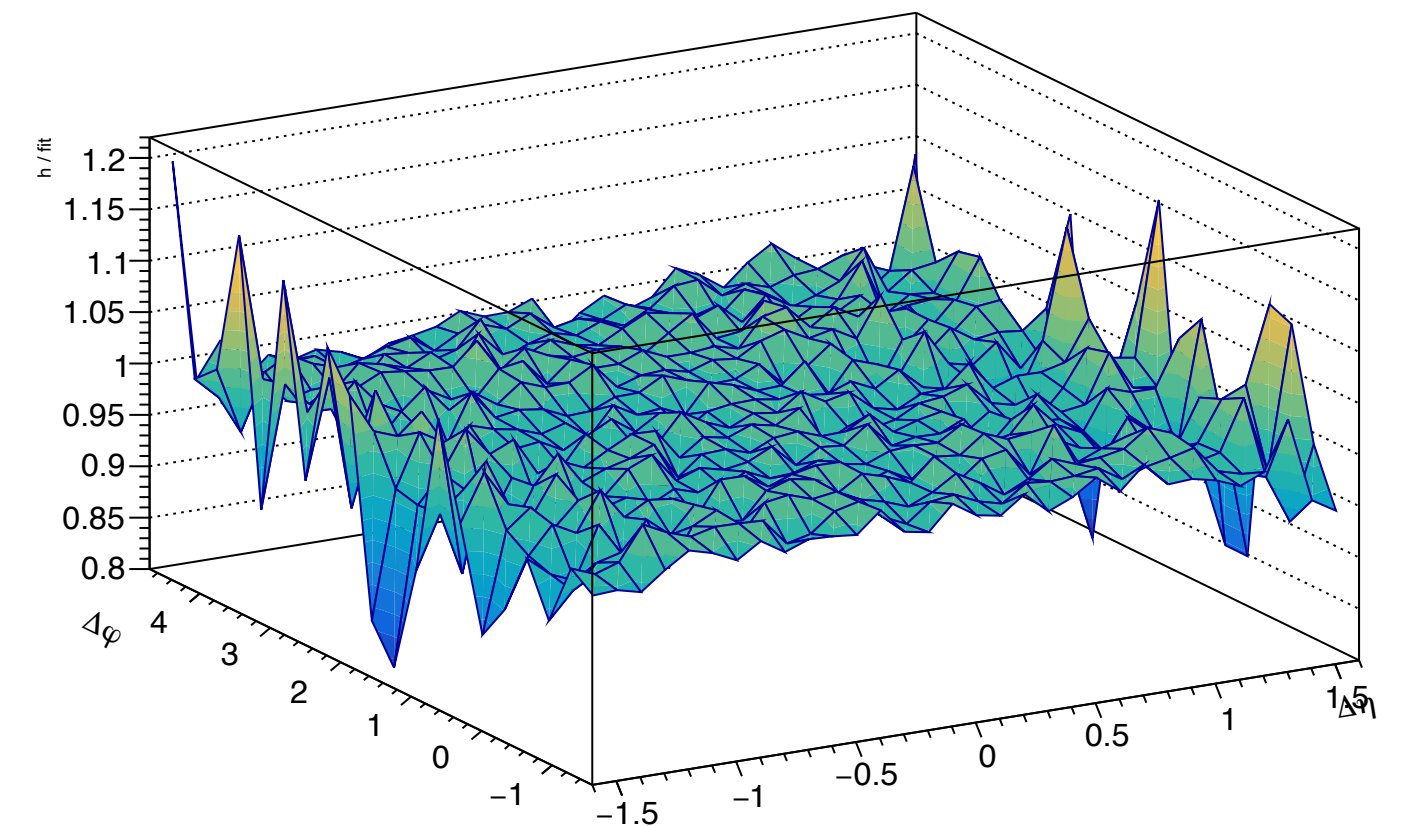


fit

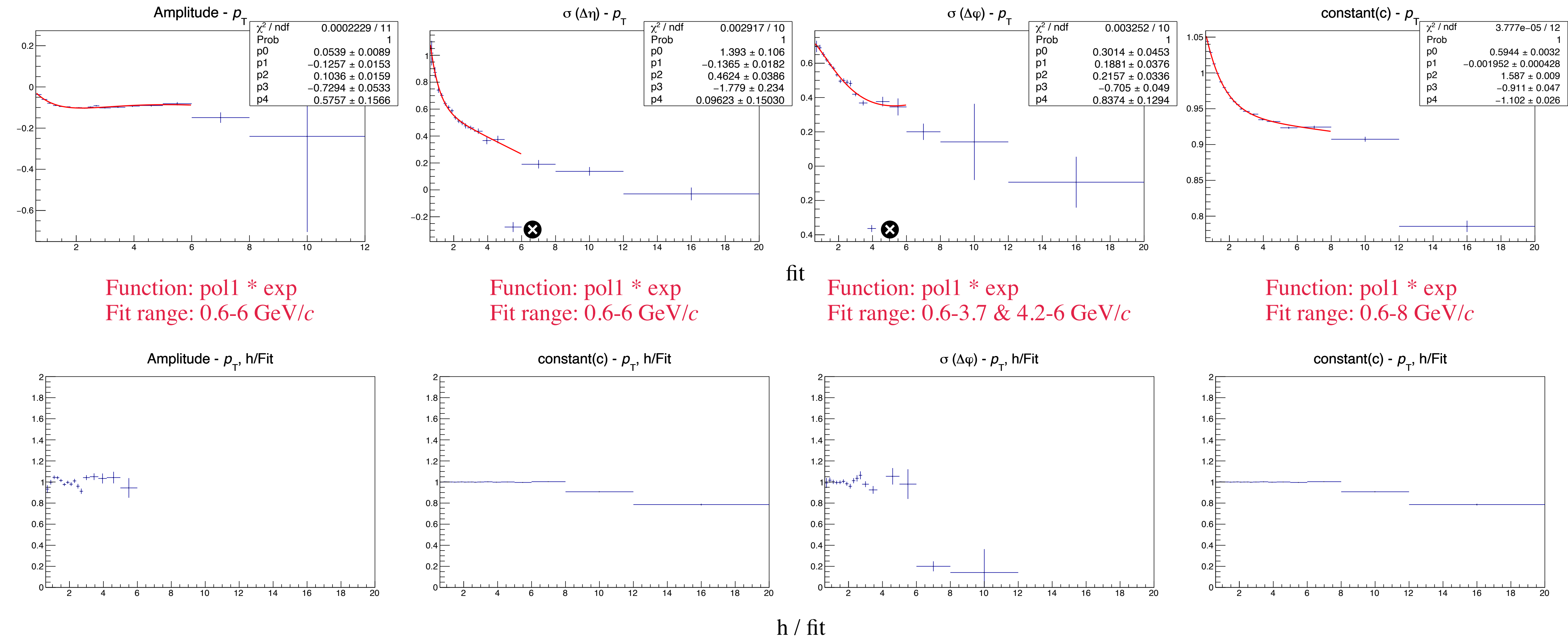
h/fit, hPtWeightedMixEventCorrected, LaOrAntiLa: 1.8-2.0, assoc 0.2-20.0, Wgt



h/fit, hPtWeightedMixEventCorrected, LaOrAntiLa: 2.8-3.2, assoc 0.2-20.0, Wgt



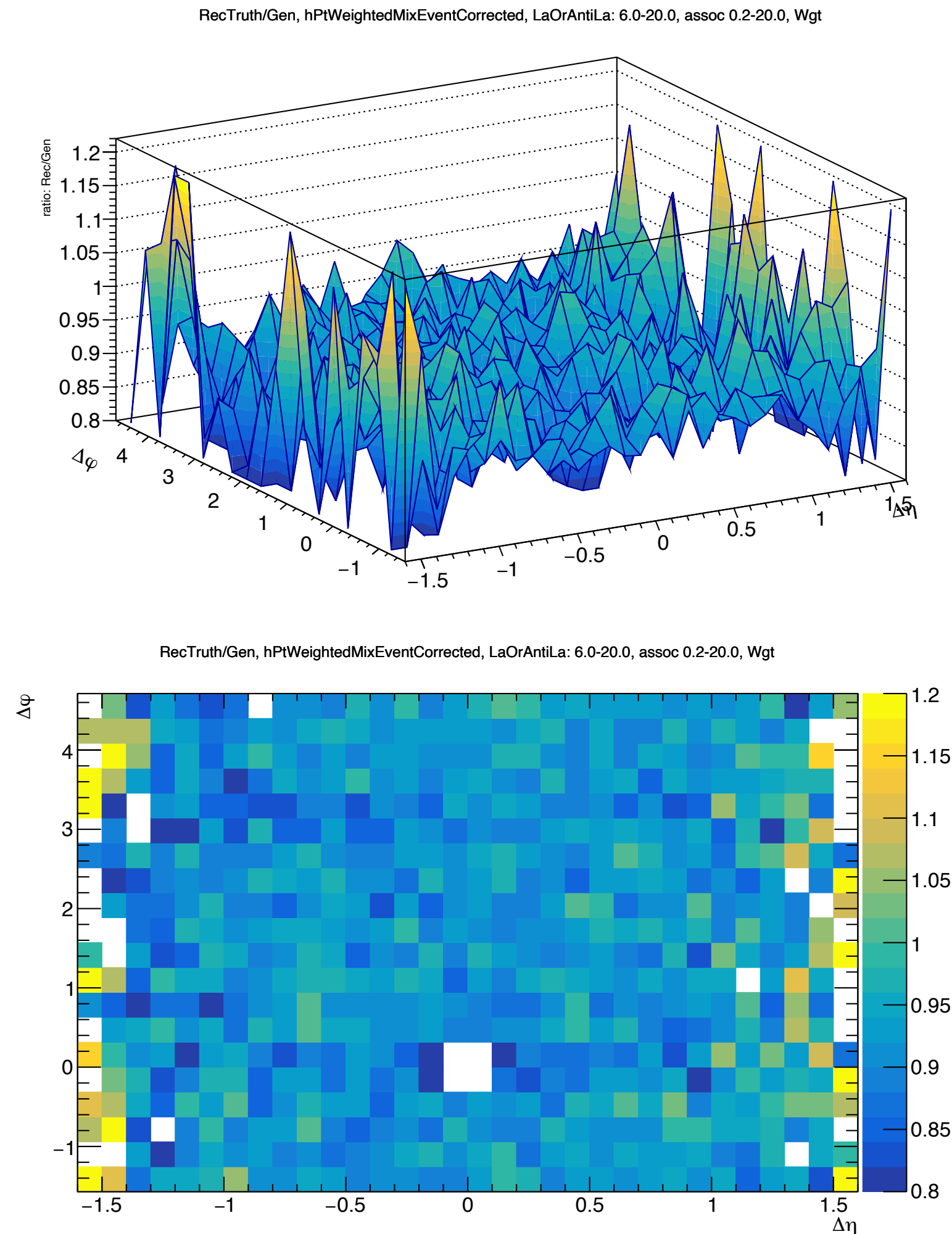
h / fit



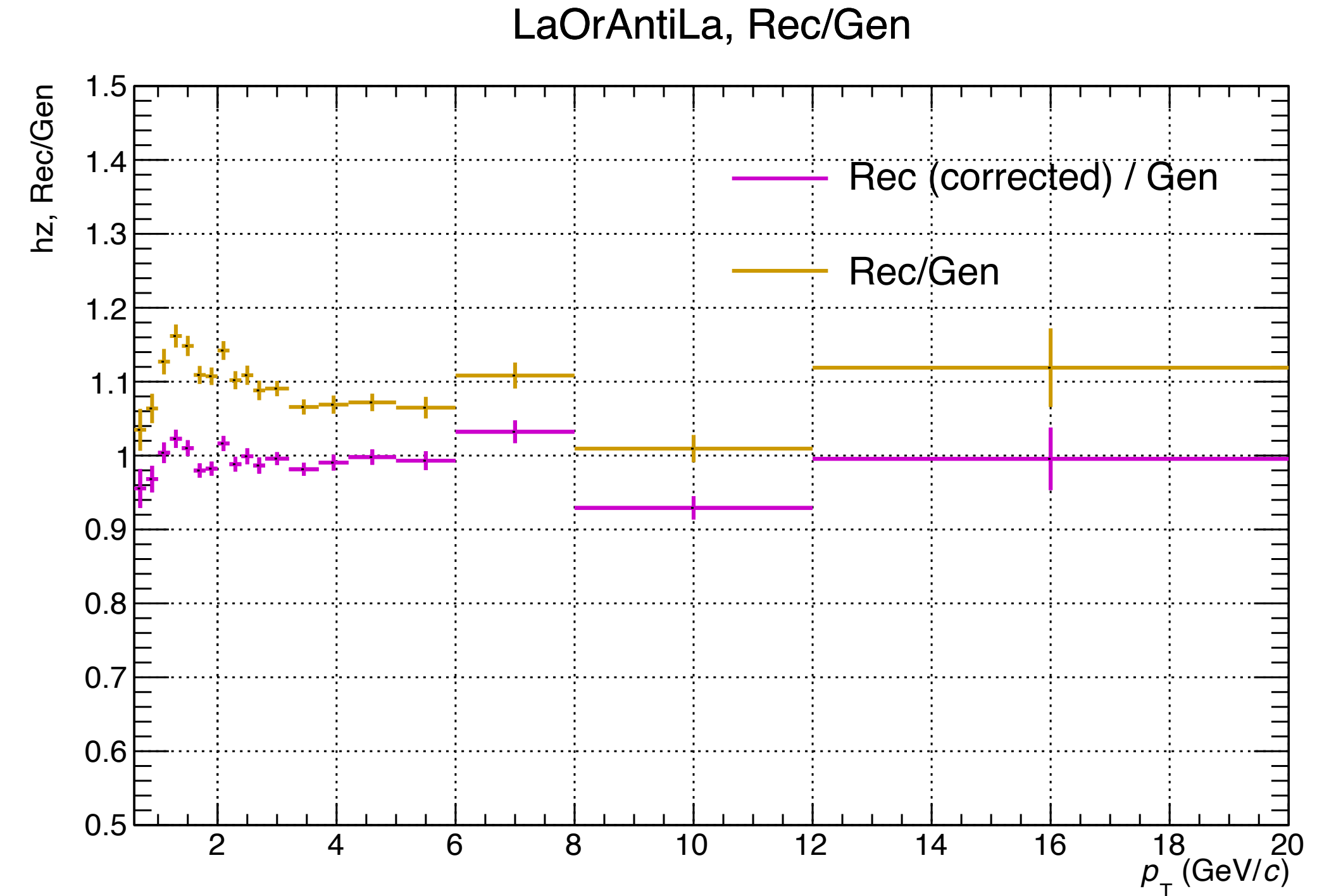
$p_{T,\text{trig}} \leq 6 \text{ GeV}/c$: based on the fit of parameters, reconstruct the 2D function to do the correction

$p_{T,\text{trig}} > 6 \text{ GeV}/c$: ?

For the last three bins, using the same 2D map (6-20 GeV/c, left) for correction



The 2D map for 6-20 GeV/c



Yellow points: Rec/Gen before 2D correction
Magenta points: Rec/Gen after 2D correction

For > 6 GeV/c, an uncertainty is given by:

$$\sigma_{\text{syst. non-closure}}^2 = \sigma_{\text{stat. corrected by 2Dmap w/ uncertainty}}^2 - \sigma_{\text{stat. corrected by 2Dmap w/o uncertainty}}^2$$

Systematic uncertainty sources in this analysis:

- ① Event vertex acceptance region
- ② Choice of the signal extraction
- ③ Fitting function used to fit the background of the Inv.M distribution (*Not taken in the end*)
- ④ Method to normalize the mix event correlation function
- ⑤ Selections on primary tracks: FB256 $\rightarrow$ FB32
- ⑥ Choice of the jet region and out-of-jet region
- ⑦ OOB/IB PU
- ⑧ Material budget
- ⑨ Feed-down for $\Lambda(\bar{\Lambda})$
- ⑩ Non-closure for $\Lambda(\bar{\Lambda})$

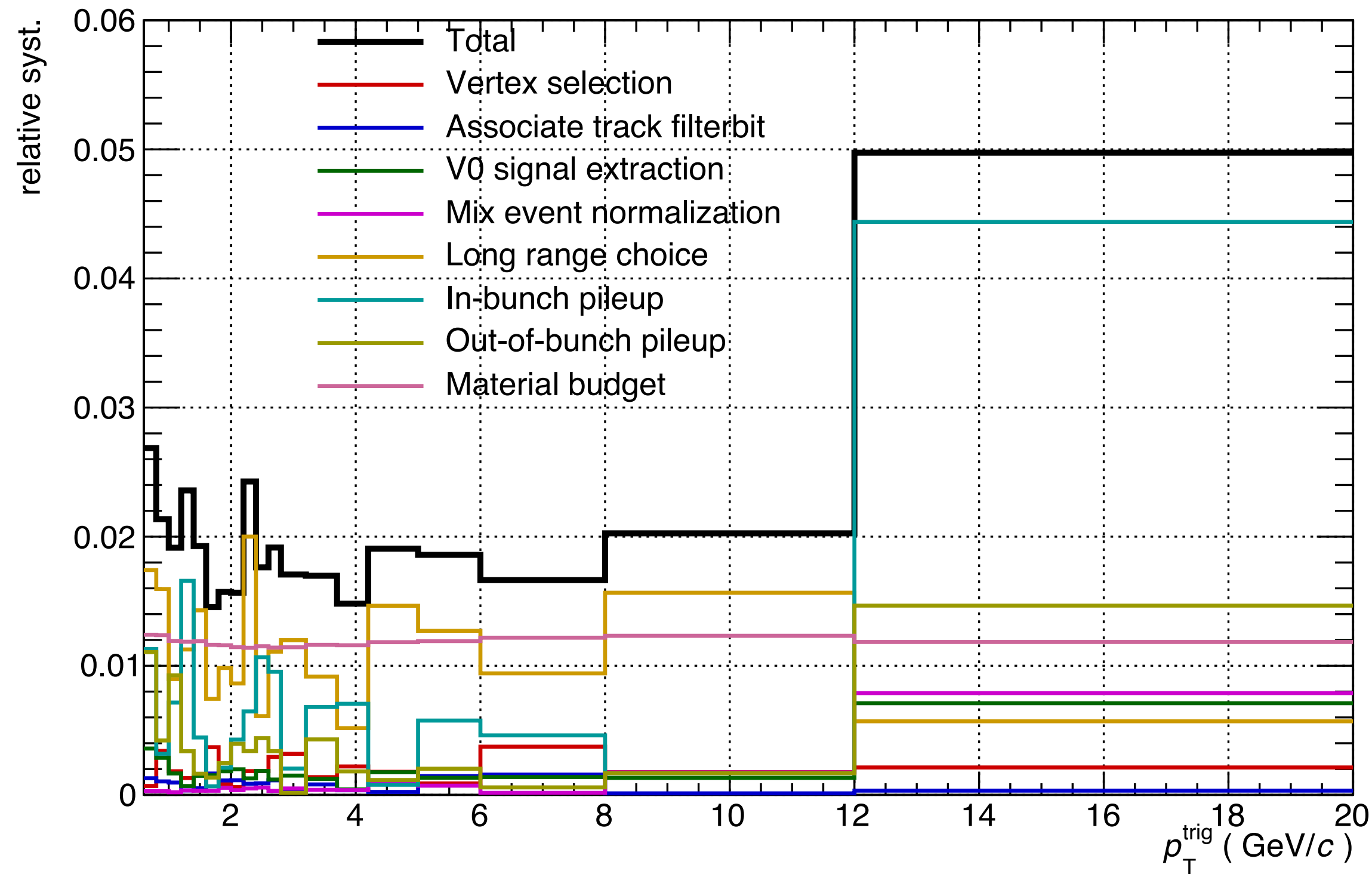
All sources are examined by the Barlow check

Systematic uncertainty details are in [backup](#) slides

$$N = \frac{|z_{\text{variation}} - z_{\text{default}}|}{\sqrt{|\sigma_{\text{variation}}^2 - \sigma_{\text{default}}^2|}}$$

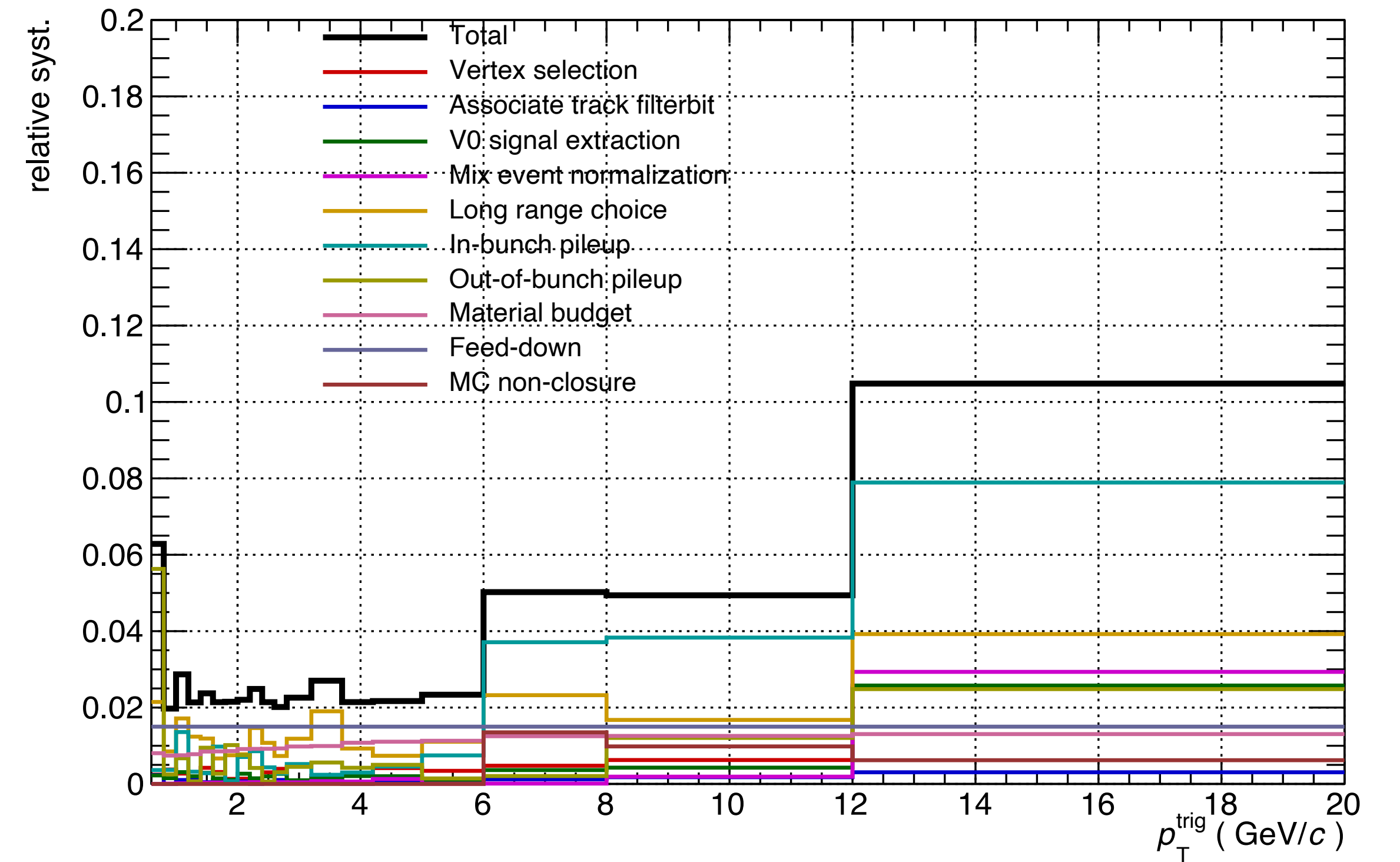
Kshort, syst. uncertainty

K_S^0



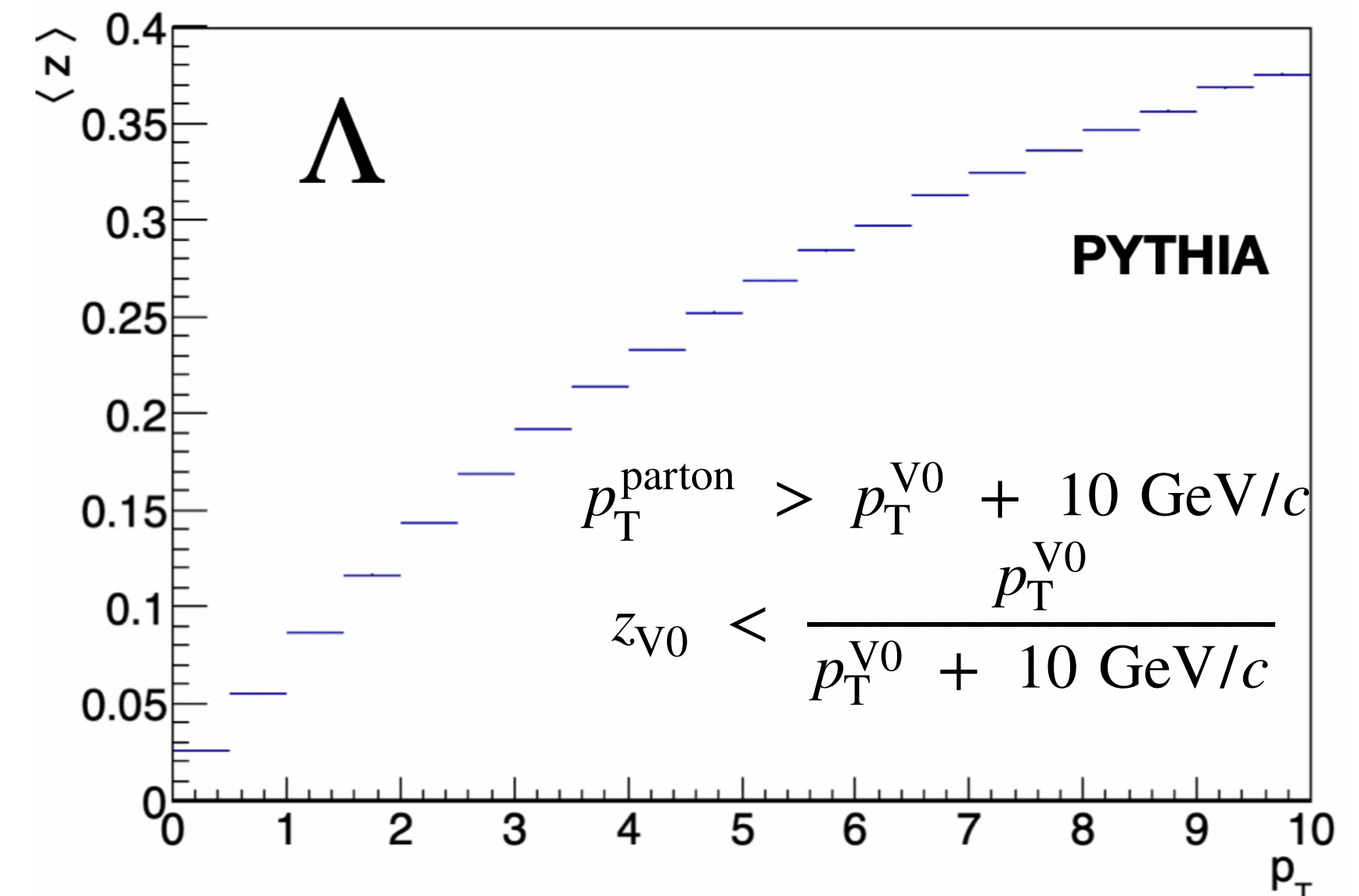
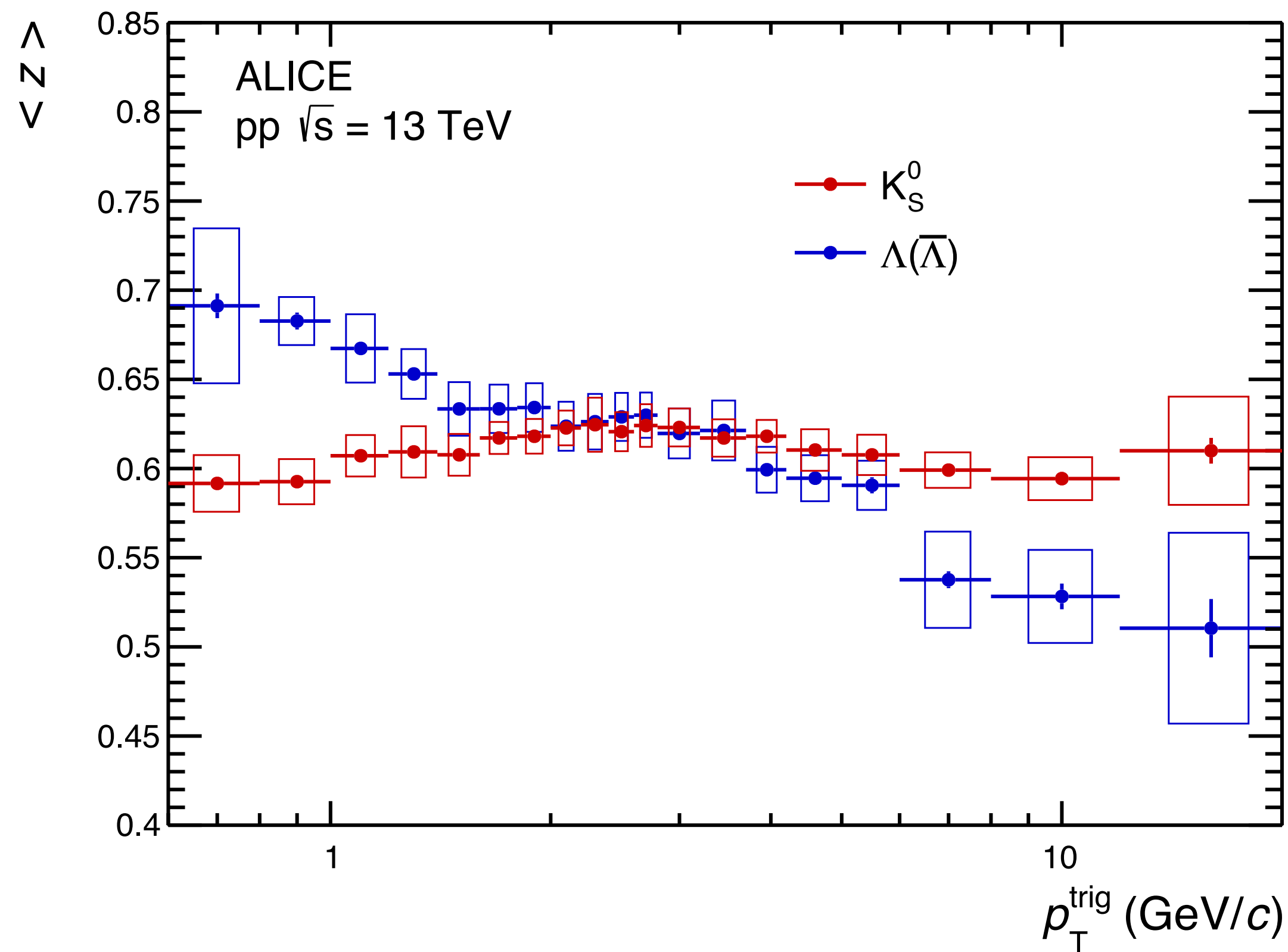
LaOrAntiLa, syst. uncertainty

$\Lambda(\bar{\Lambda})$



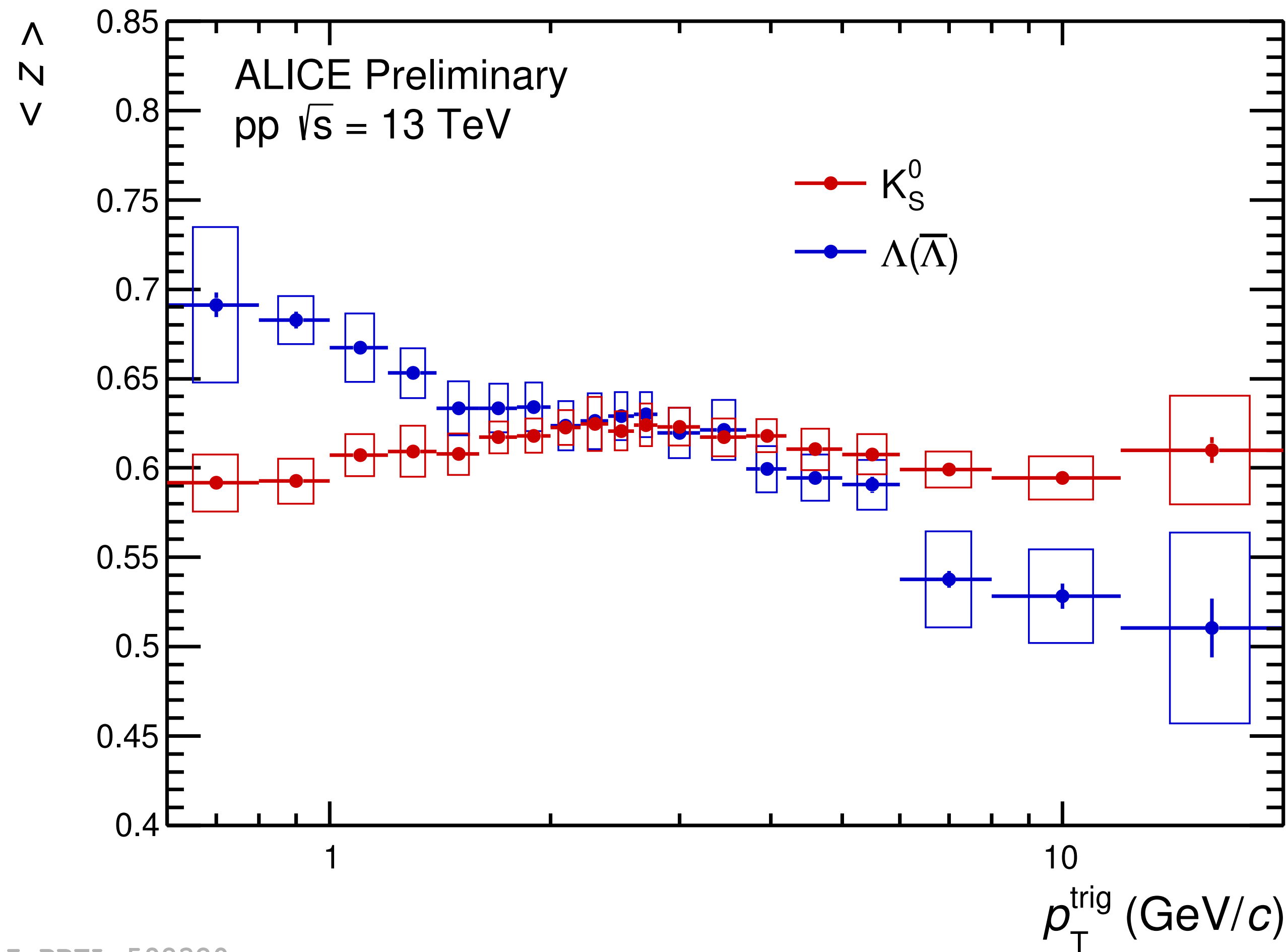
$$\sigma_{\text{total}} = \sqrt{\sum_i (\sigma_i^2)}$$

Systematic uncertainty details are in [backup slides](#)



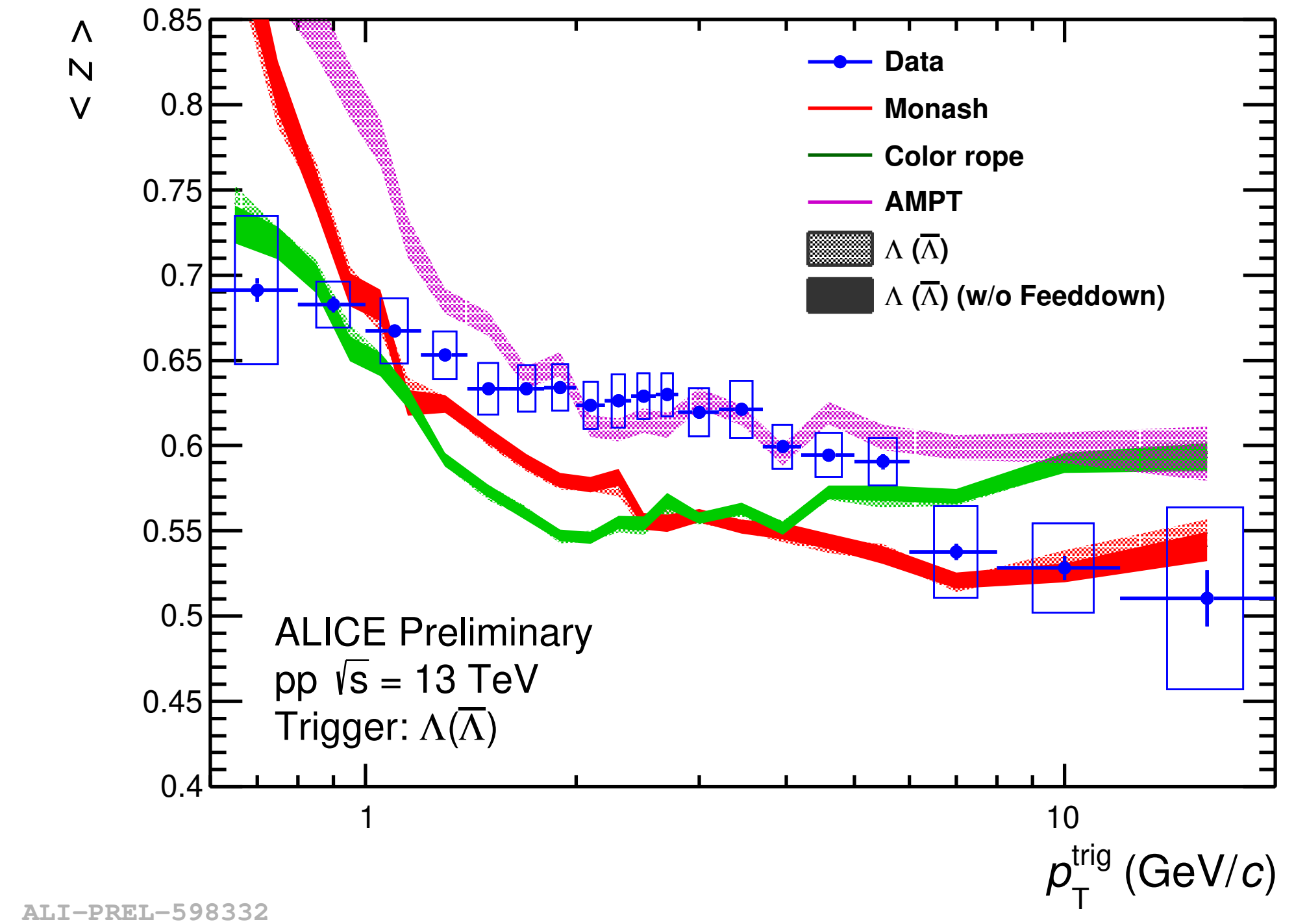
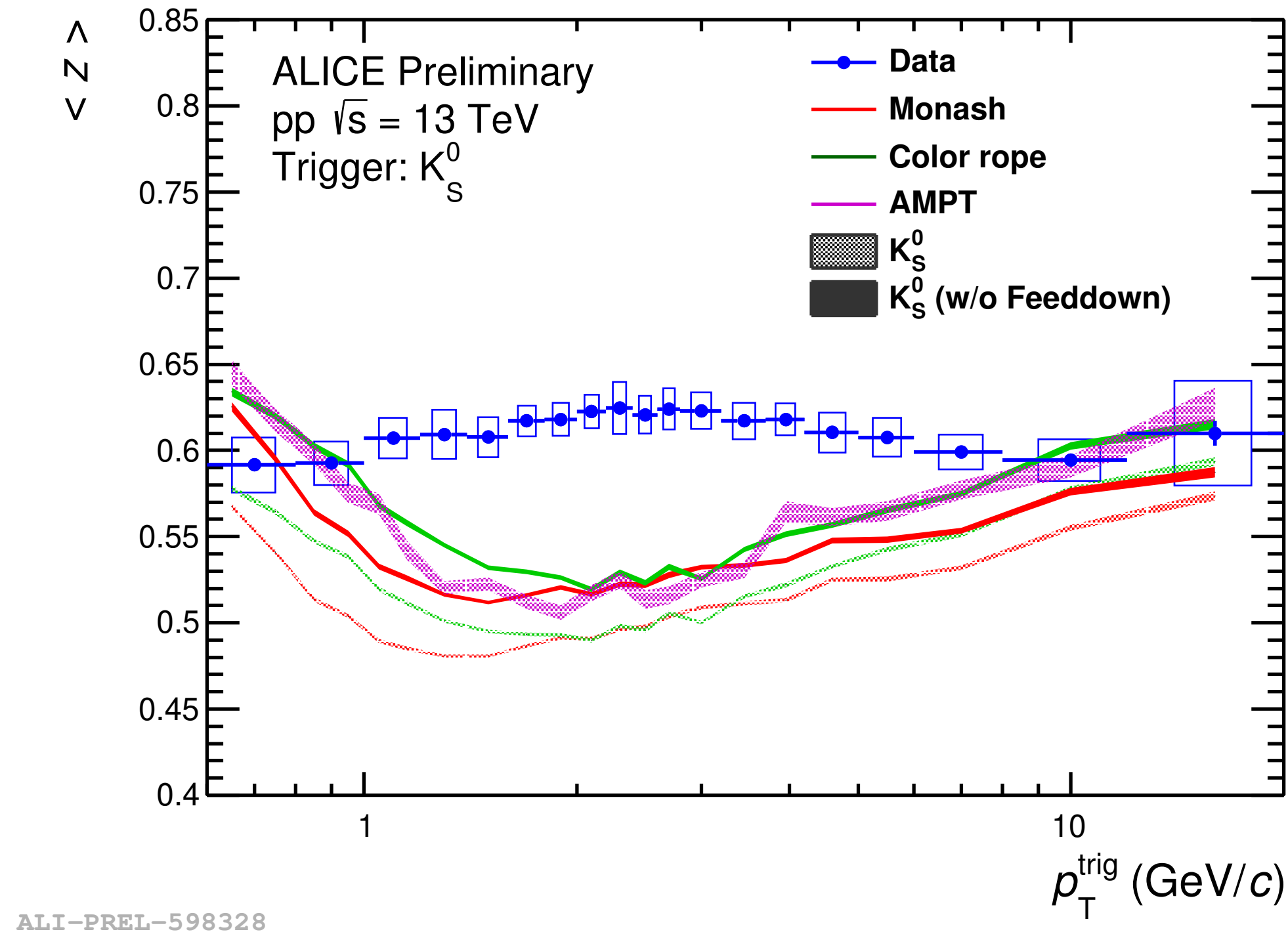
Inside-jet Λ momentum fraction z

- Results suggests that the fragmentation of the strange particles is (relative) low energy partons with high $\langle z \rangle$ type
 - When compare the in-jet and out-of-jet strange particles production, we are actually measuring particles with different $\langle z \rangle$



- At high p_T , these relatively high values for these two particle species are expected to be due to the leading particle effect
- $\langle z \rangle$ is nearly flat and consistent for two particle species in 2-6 GeV/c shows no indication of a significant change of production mechanism in this region
- At low p_T (< 1.5 GeV/c), the increasing (from intermediate p_T to low p_T) due to either the fragmentation is harder for $\Lambda(\bar{\Lambda})$ at this region, or more isolated $\Lambda(\bar{\Lambda})$ production contribution in this region

ALI-PREL-598320



- PYTHIA8 (fragmentation based hadronization) and AMPT (coalescence based hadronization) were studied
- Both PYTHIA8 (w/ and w/o color-reconnection implementations) and AMPT with string-melting implementation can not well-reproduce data
- K_S^0 : predictions provide a minimum instead of a maximum

Prediction results are partly provided by Qiuyue Zhang

Summary:

- The first measurement of the strange particle's p_T fraction in mini-jets in pp collisions at $\sqrt{s} = 13$ TeV is almost finished using the novel weighted correlation method, systematic uncertainty study is also performed
- Paper proposal within the ALICE Collaboration has been approved and the first paper draft is almost ready for the review inside collaboration

Outlook:

- Extend the study to multi-strange particles, investigate the dependence of $\langle z \rangle$ on charged-particle multiplicity



Thank you!

Backup

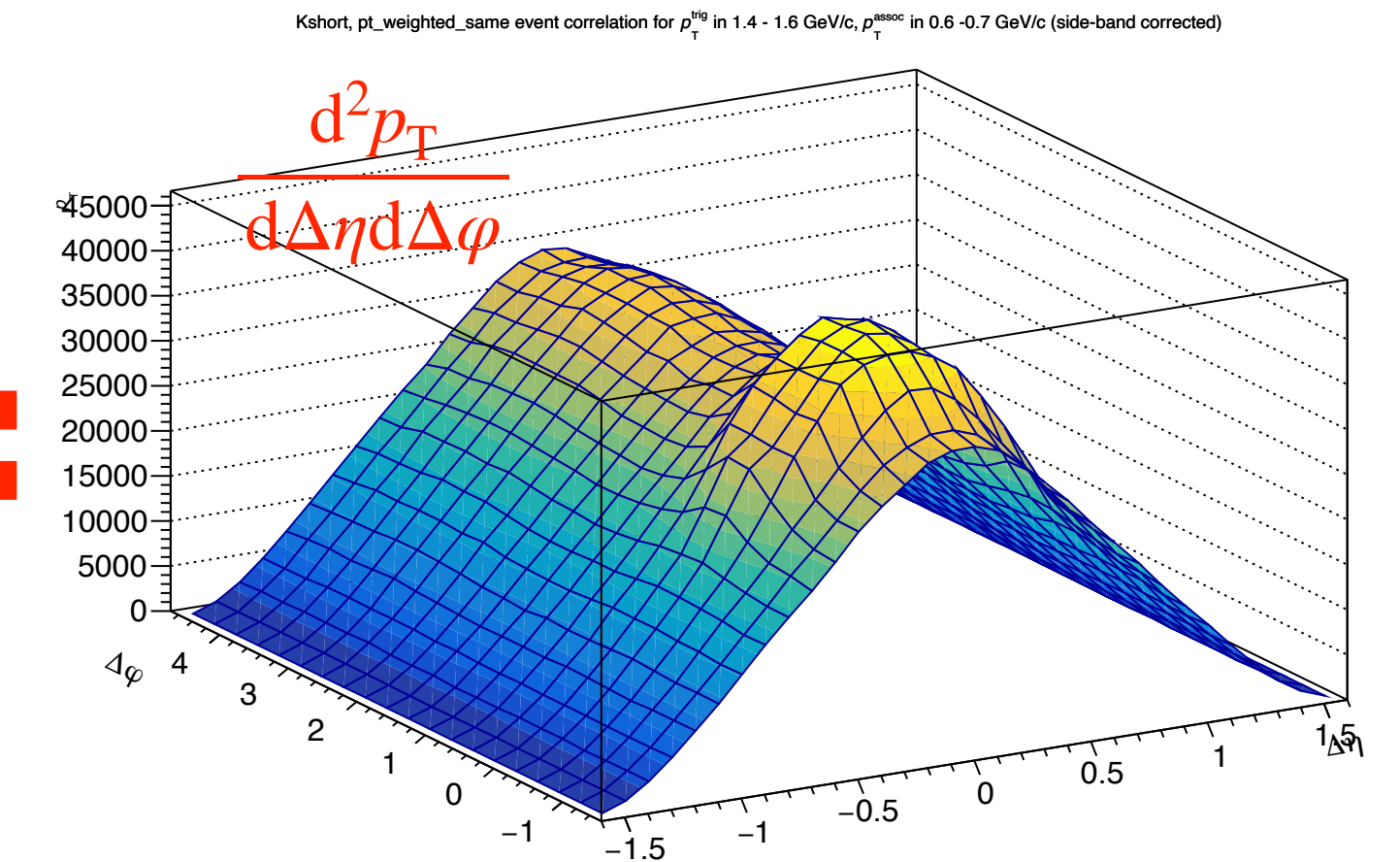
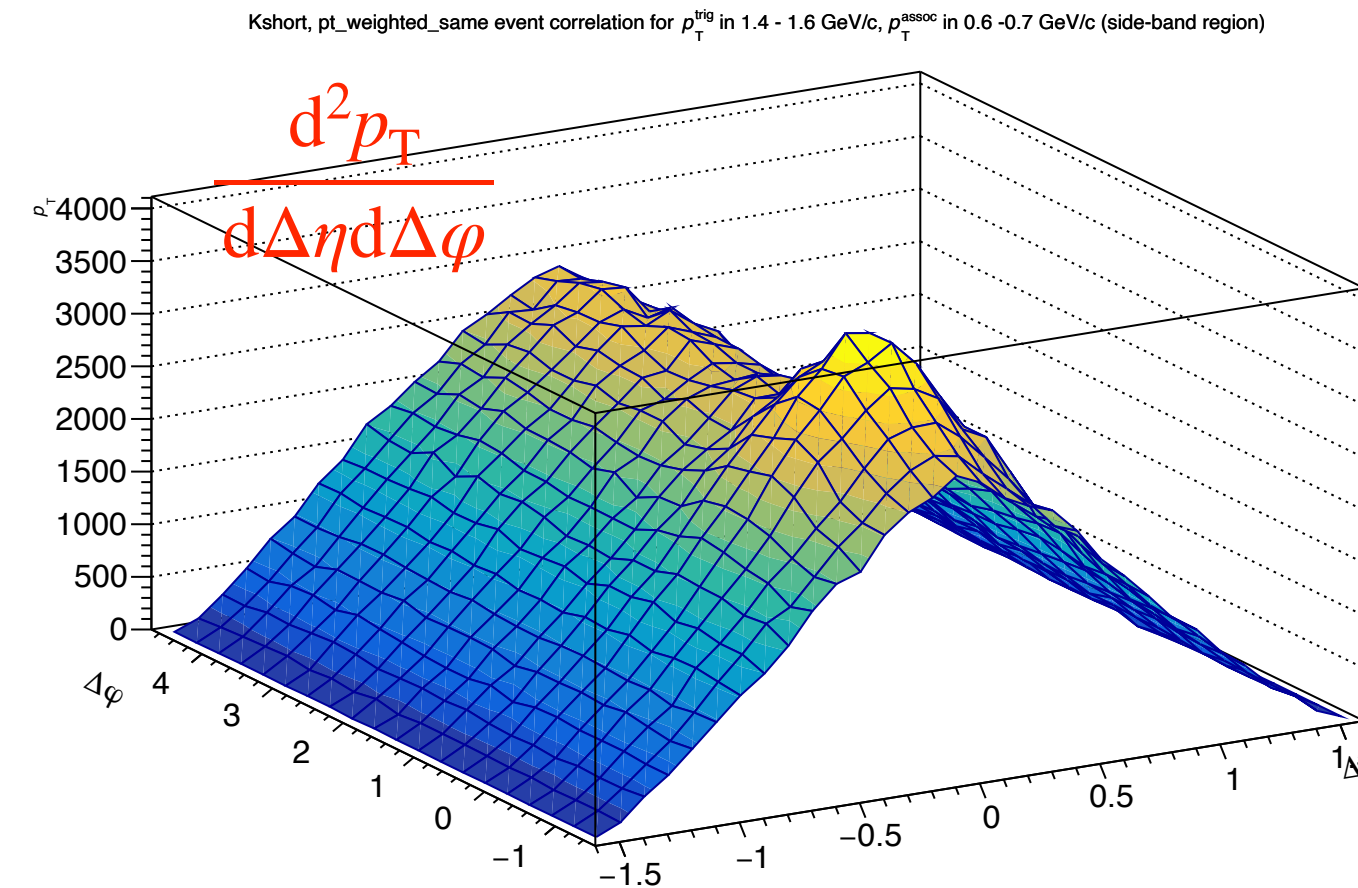
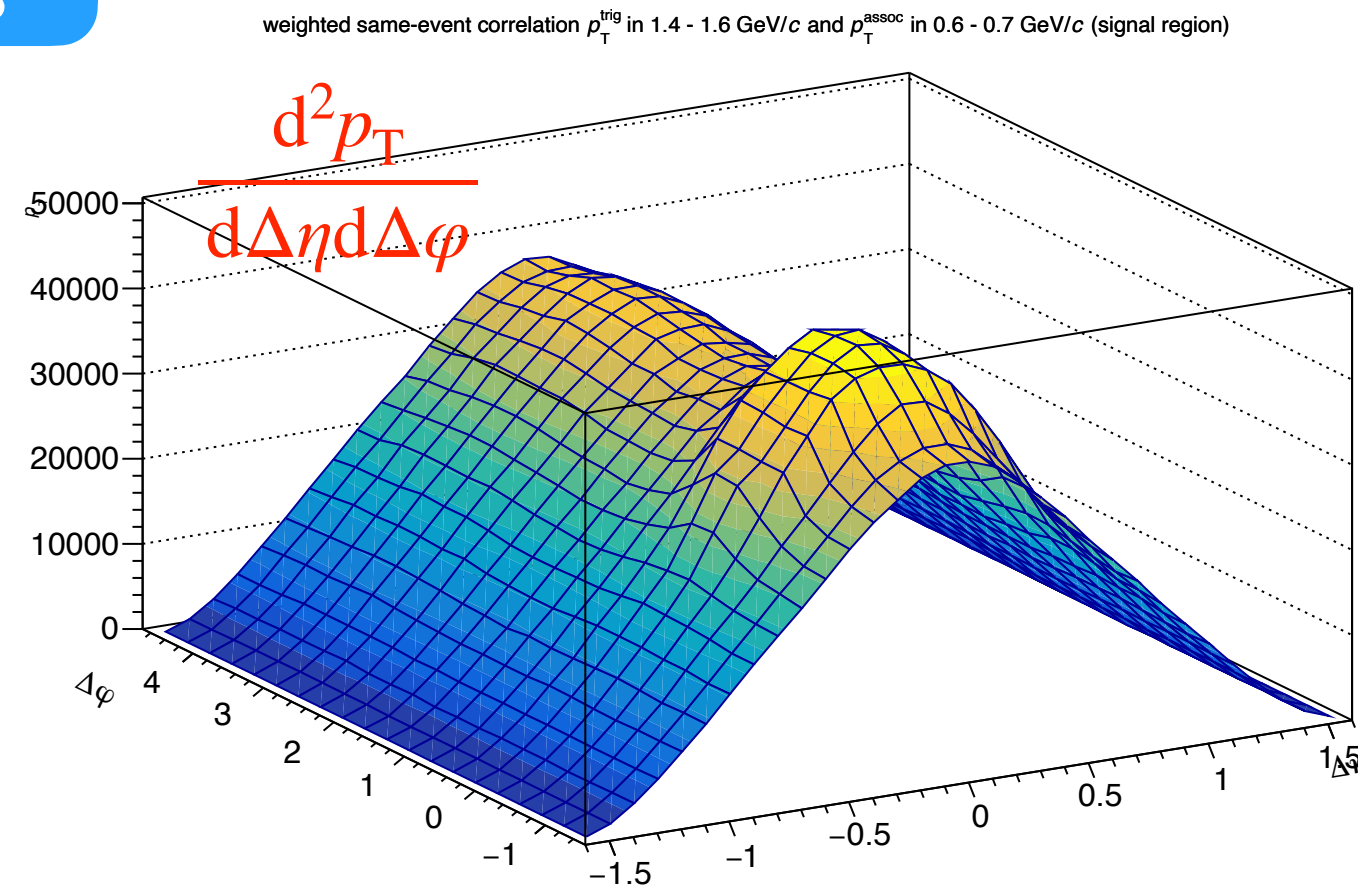
K_S^0

signal region

sideband region

sideband corrected

same event



Example: $1.4 \text{ GeV}/c < p_T^{trig} < 1.6 \text{ GeV}/c$ and $0.6 \text{ GeV}/c < p_T^{assoc} < 0.7 \text{ GeV}/c$, inefficiency is considered

Same event

- $p_{T, \text{assoc}}$ is used as the weight, $\text{weight} = p_{T, \text{assoc}} * (1 - C) / \varepsilon$, where C and ε are the secondary fraction and tracking efficiency
- Sideband subtraction from the signal region

K_S^0

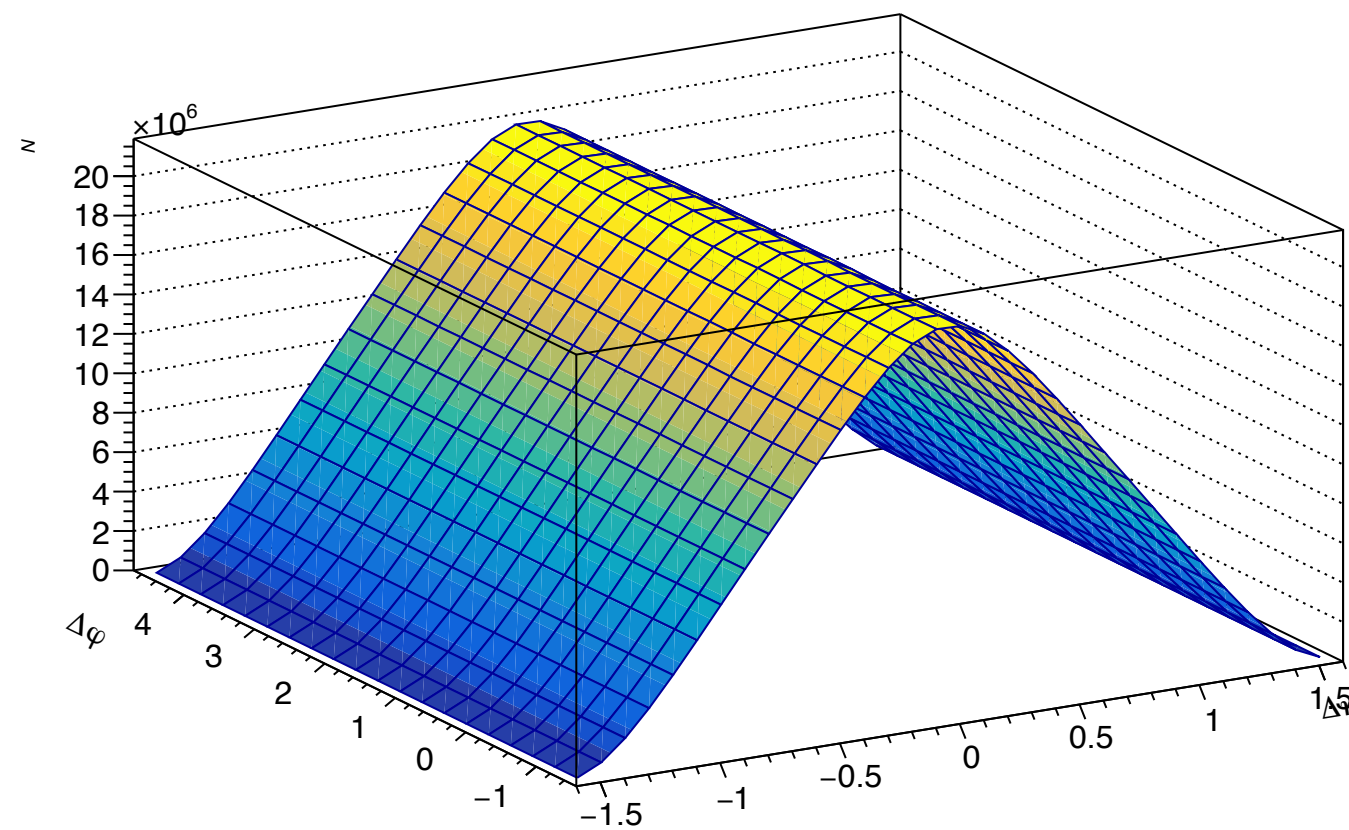
Mix event

- ME grid: $\Delta z_{vtx} < 2$ cm, no multiplicity dependence is considered
- Same procedures as in the same event, but w/o any weight

mix
event

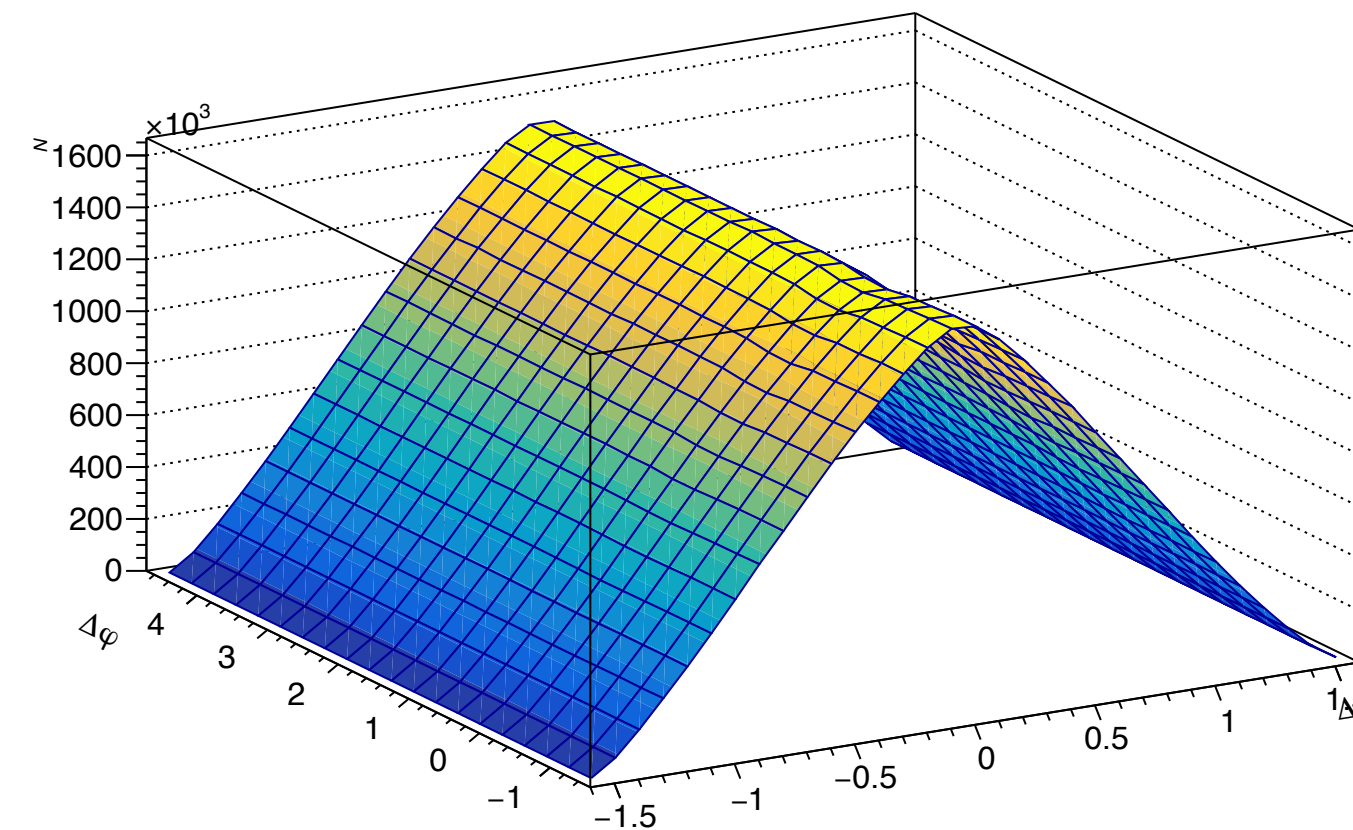
signal region

mix-event correlation p_T^{trig} in 1.4 - 1.6 GeV/c and p_T^{assoc} in 0.6 - 0.7 GeV/c (signal region)



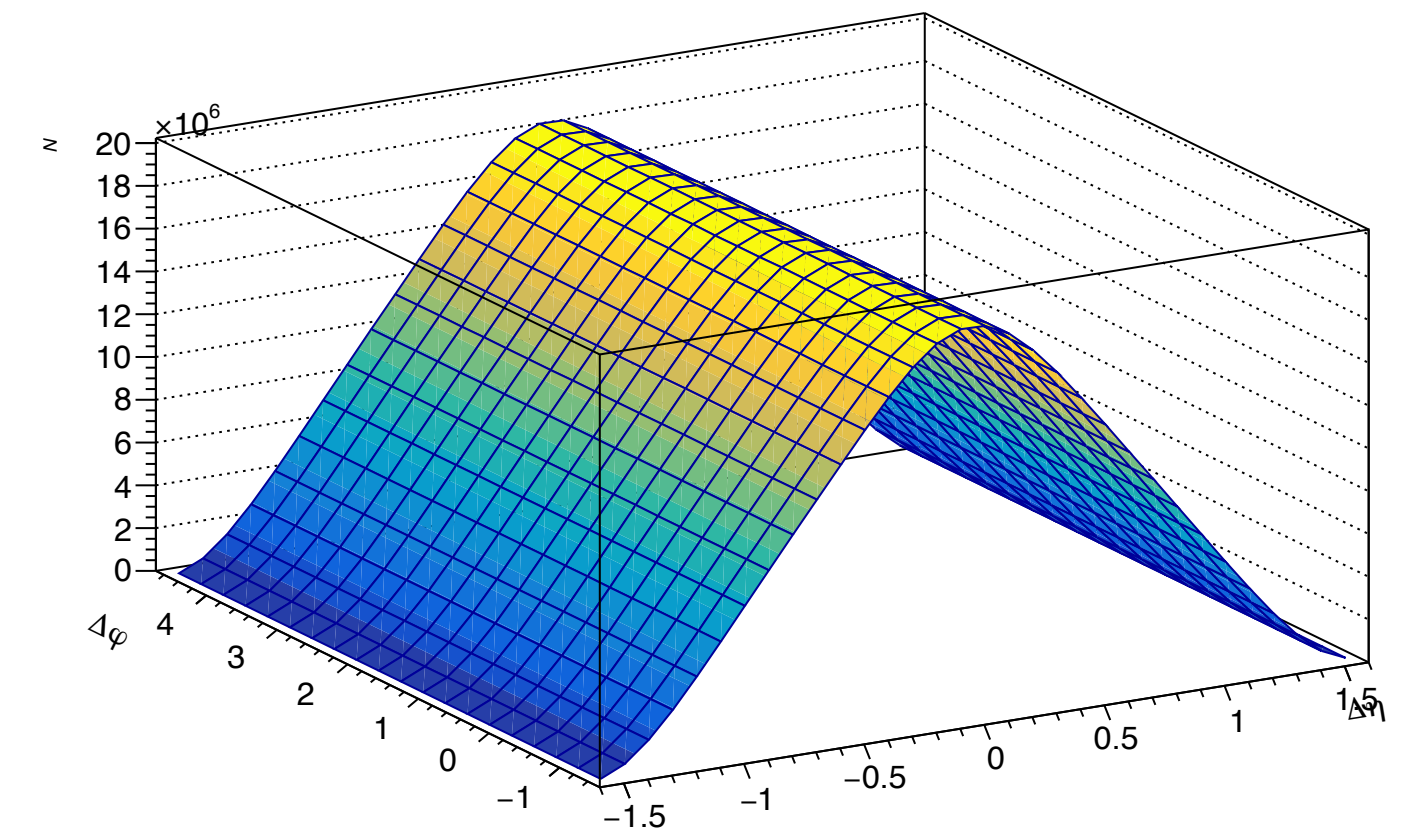
sideband region

Kshort, mix event correlation for p_T^{trig} in 1.4 - 1.6 GeV/c, p_T^{assoc} in 0.6 - 0.7 GeV/c (side-band region)



sideband corrected

Kshort, mix event correlation for p_T^{trig} in 1.4 - 1.6 GeV/c, p_T^{assoc} in 0.6 - 0.7 GeV/c (side-band corrected)

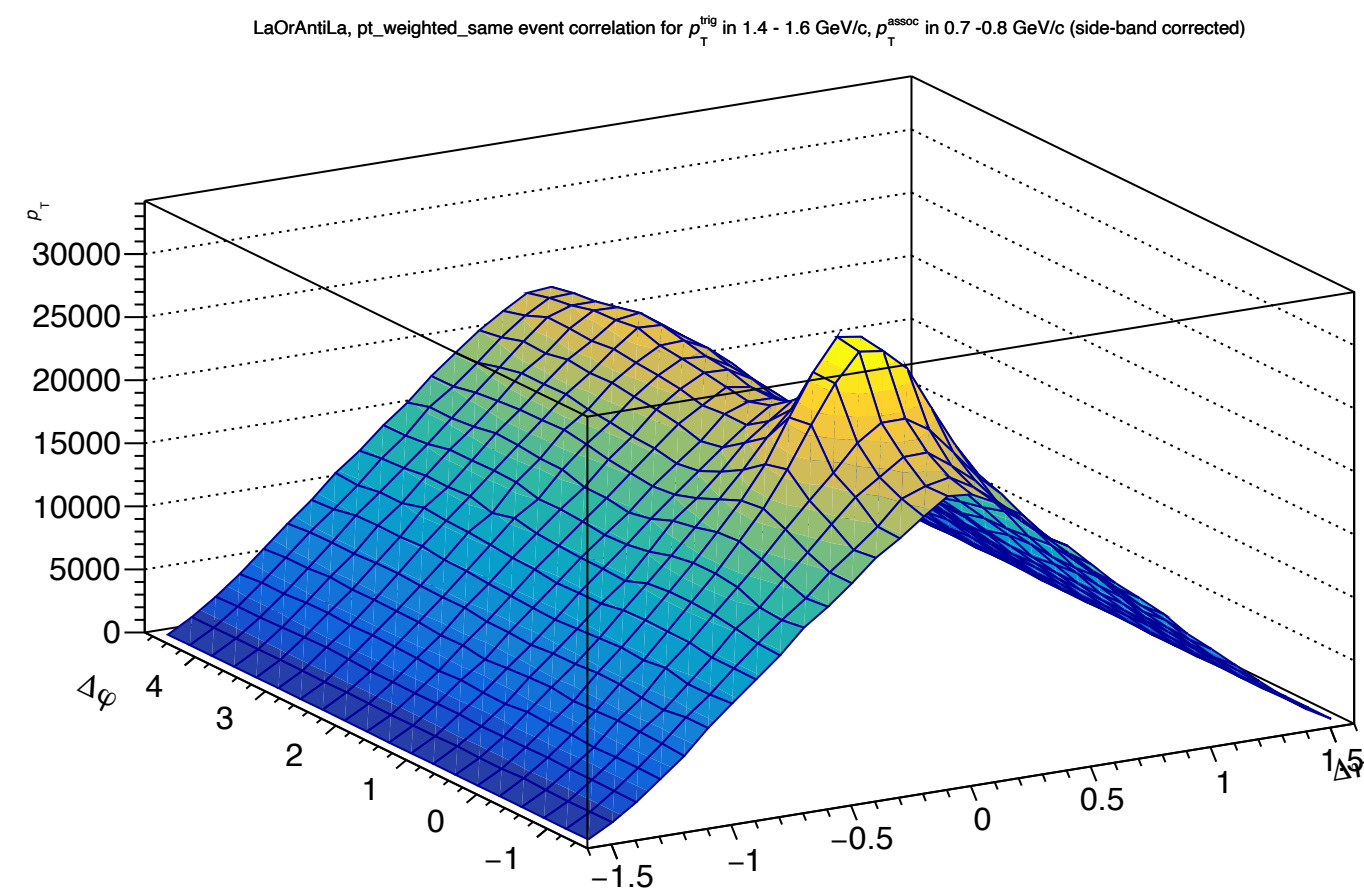


Example: $1.4 \text{ GeV}/c < p_T^{trig} < 1.6 \text{ GeV}/c$ and $0.6 \text{ GeV}/c < p_T^{assoc} < 0.7 \text{ GeV}/c$

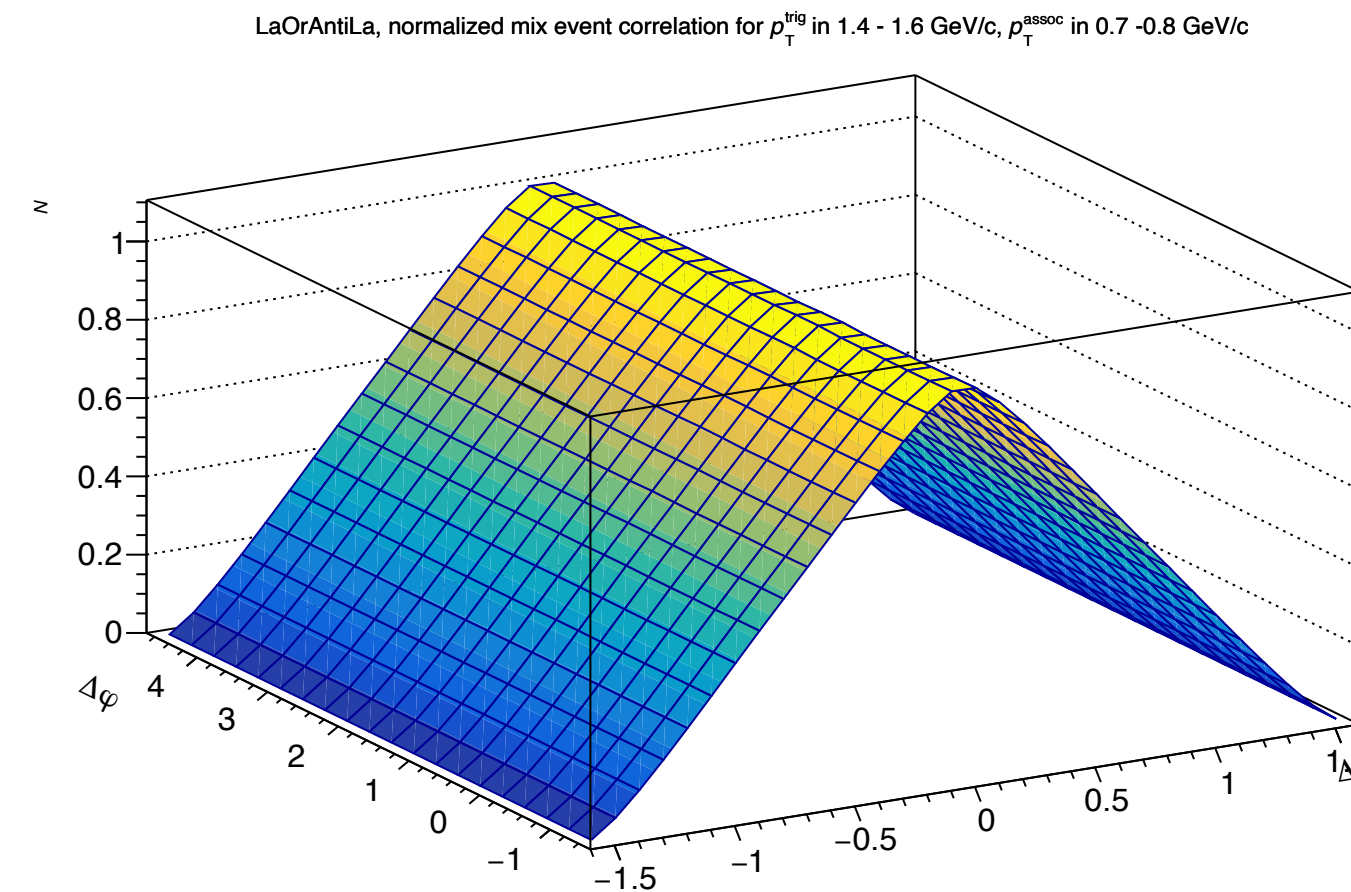
$\Lambda(\bar{\Lambda})$

$$C = \frac{S}{M}, \text{ where } M \text{ is the normalized mixed event correlation function}$$

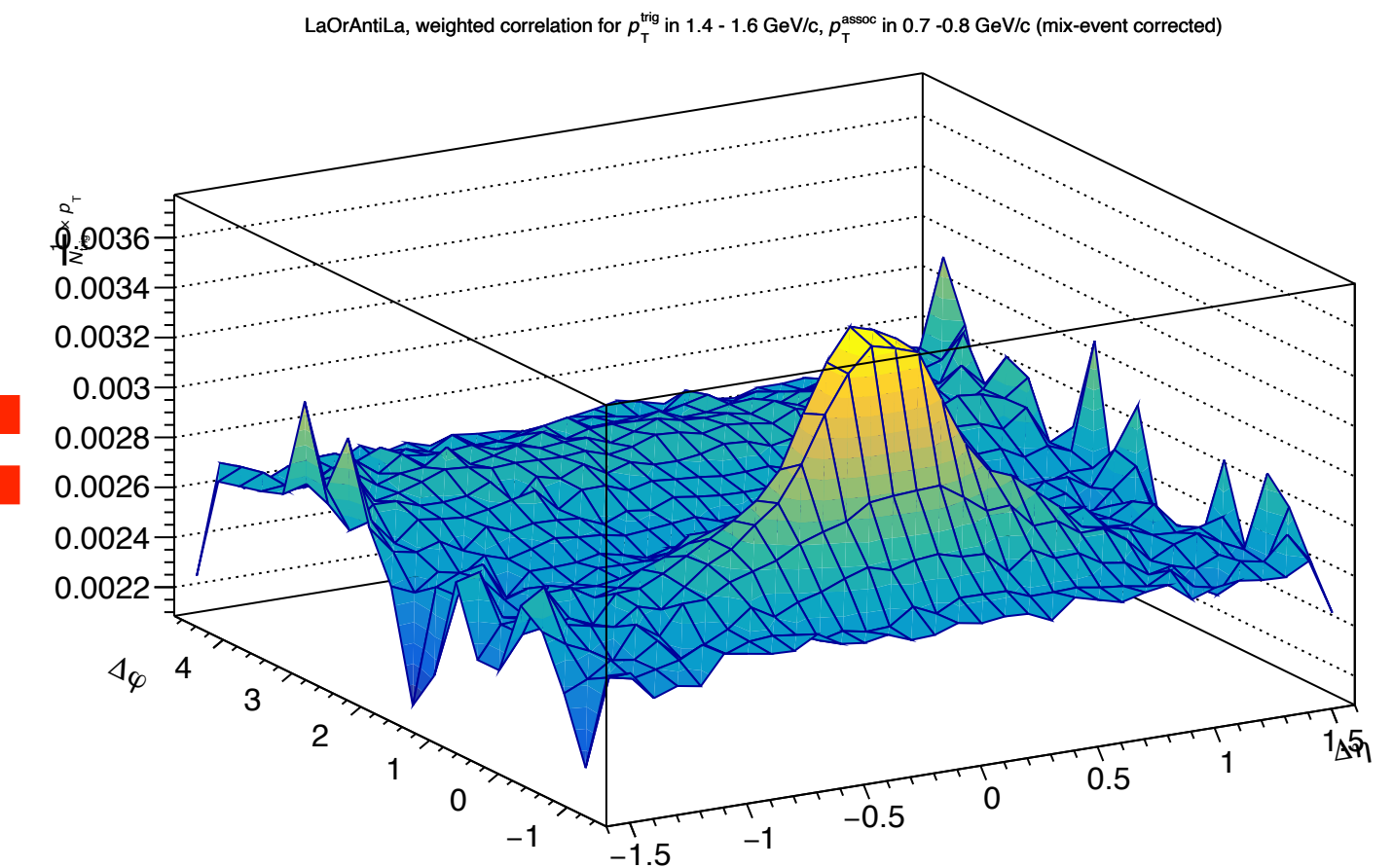
same event (side band corrected)



mix event (side band corrected,
normalized)



mix event corrected



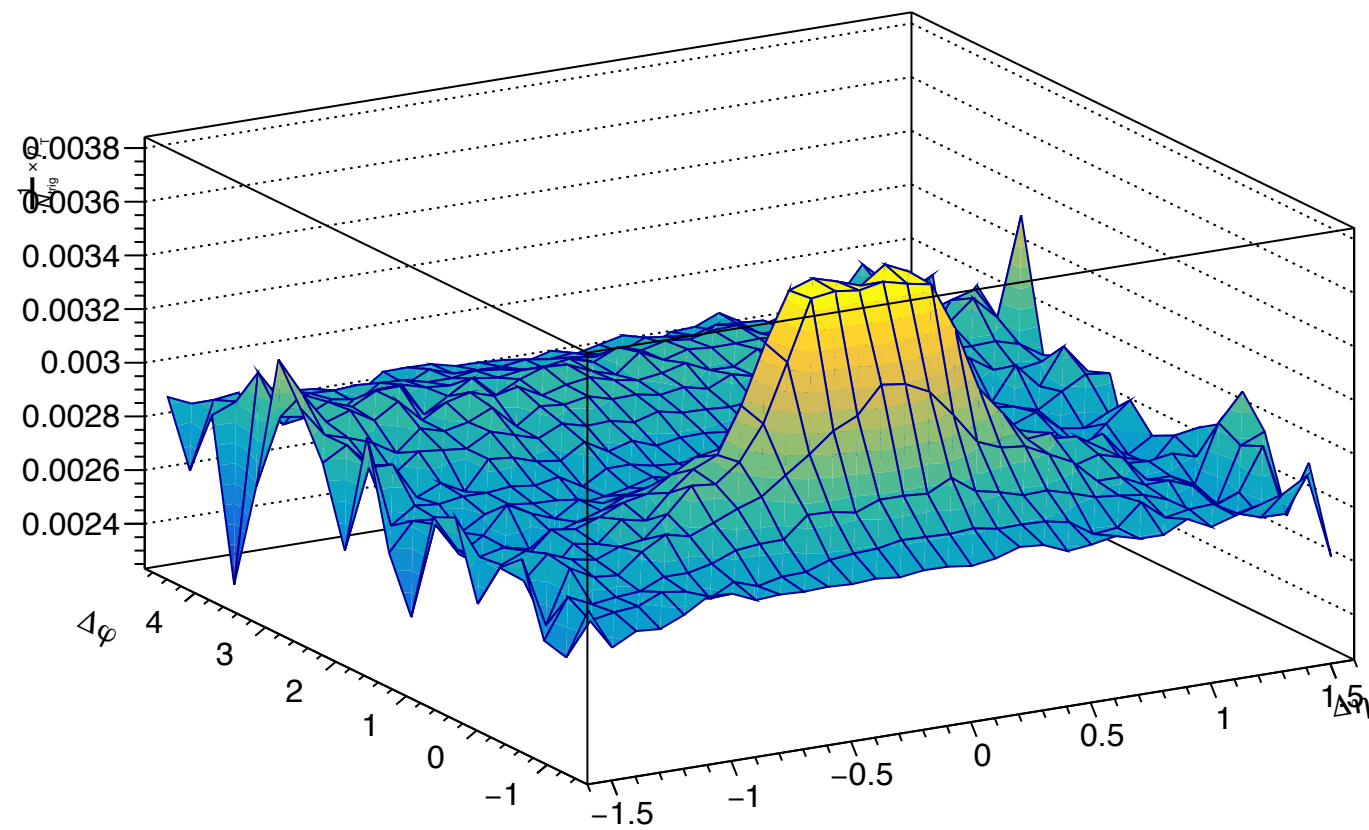
Example: $1.4 \text{ GeV}/c < p_T^{trig} < 1.6 \text{ GeV}/c$ and $0.7 \text{ GeV}/c < p_T^{assoc} < 0.8 \text{ GeV}/c$

$\Lambda(\bar{\Lambda})$

Example: mix-event corrected correlation results for $1.4 \text{ GeV}/c < p_T^{trig} < 1.6 \text{ GeV}/c$ with different p_T^{assoc} bins

$0.6 < p_{T,assoc} < 0.7 \text{ GeV}/c$

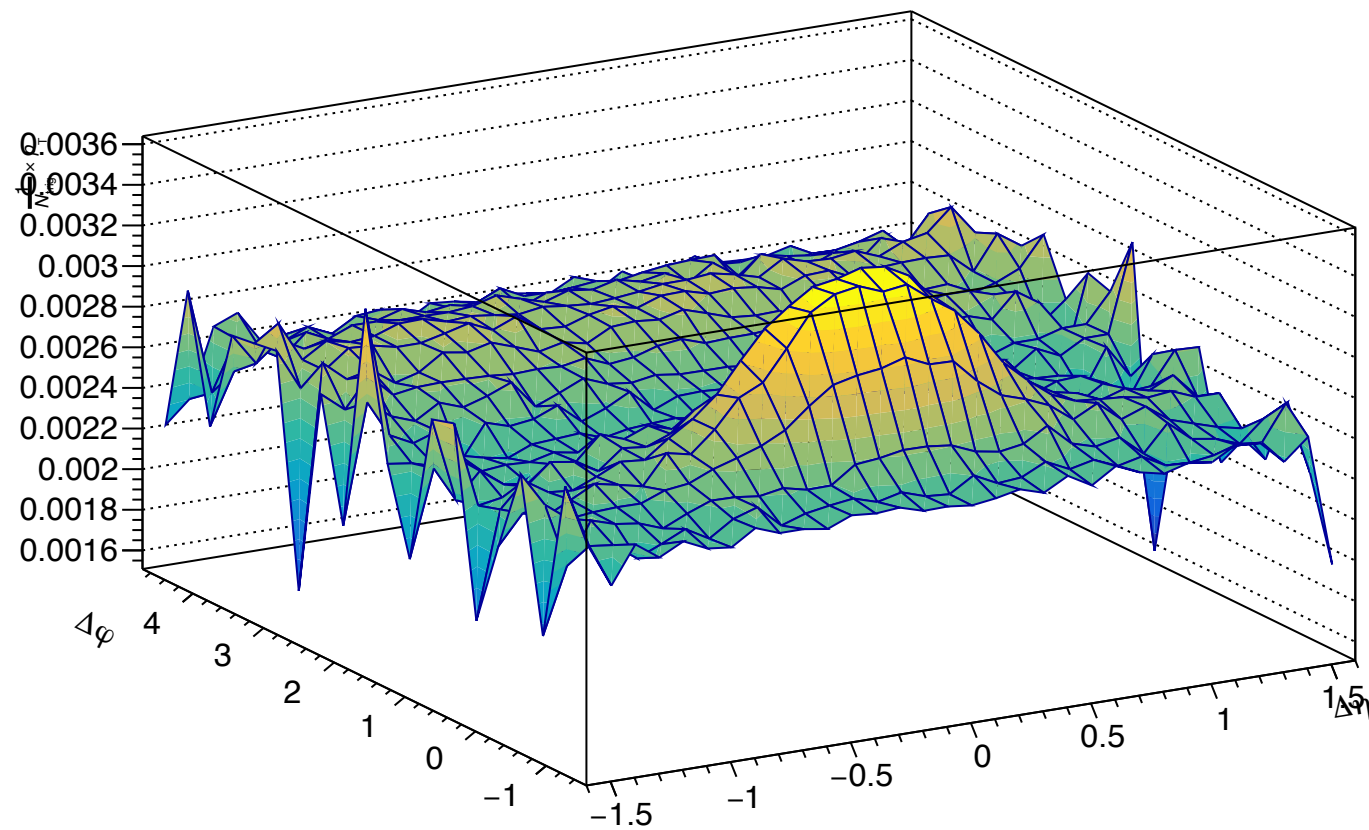
LaOrAntiLa, weighted correlation for p_T^{trig} in 1.4 - 1.6 GeV/c, p_T^{assoc} in 0.6 - 0.7 GeV/c (mix-event corrected)



+

$1.4 < p_{T,assoc} < 1.6 \text{ GeV}/c$

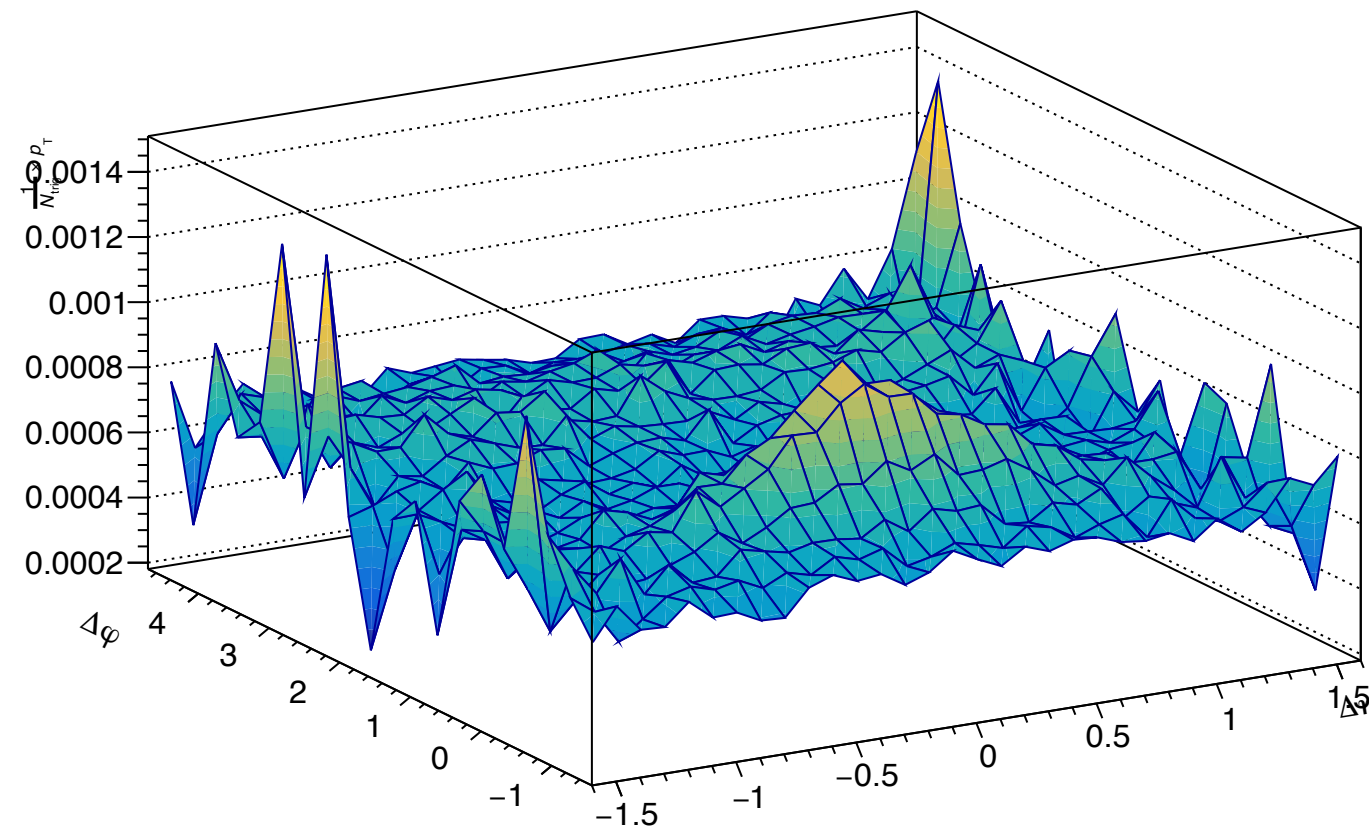
LaOrAntiLa, weighted correlation for p_T^{trig} in 1.4 - 1.6 GeV/c, p_T^{assoc} in 1.4 - 1.6 GeV/c (mix-event corrected)



+

$4.0 < p_{T,assoc} < 5.0 \text{ GeV}/c$

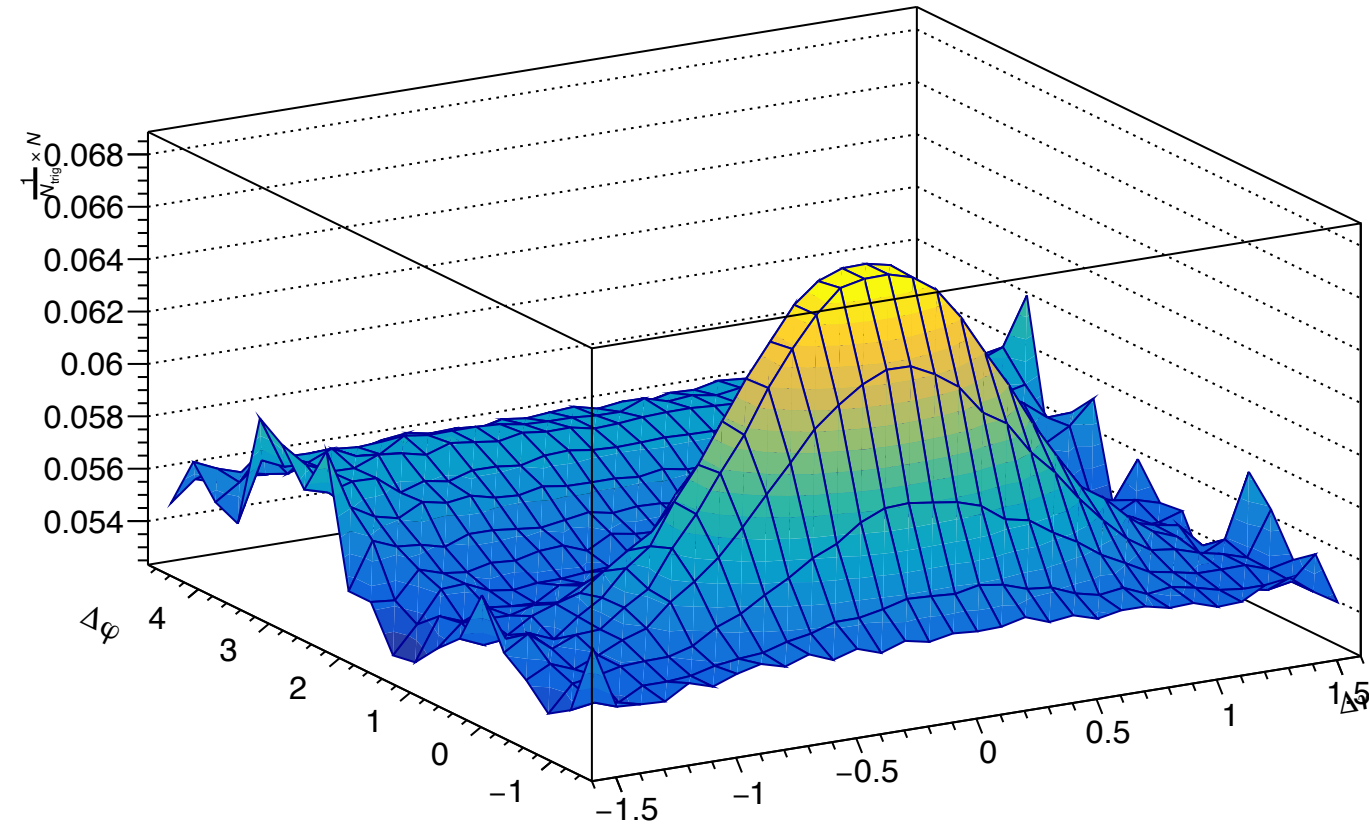
LaOrAntiLa, weighted correlation for p_T^{trig} in 1.4 - 1.6 GeV/c, p_T^{assoc} in 4.0 - 5.0 GeV/c (mix-event corrected)



...

||

LaOrAntiLa, regular correlation for p_T^{trig} in 1.4 - 1.6 GeV/c, p_T^{assoc} in 0.2 - 20.0 GeV/c

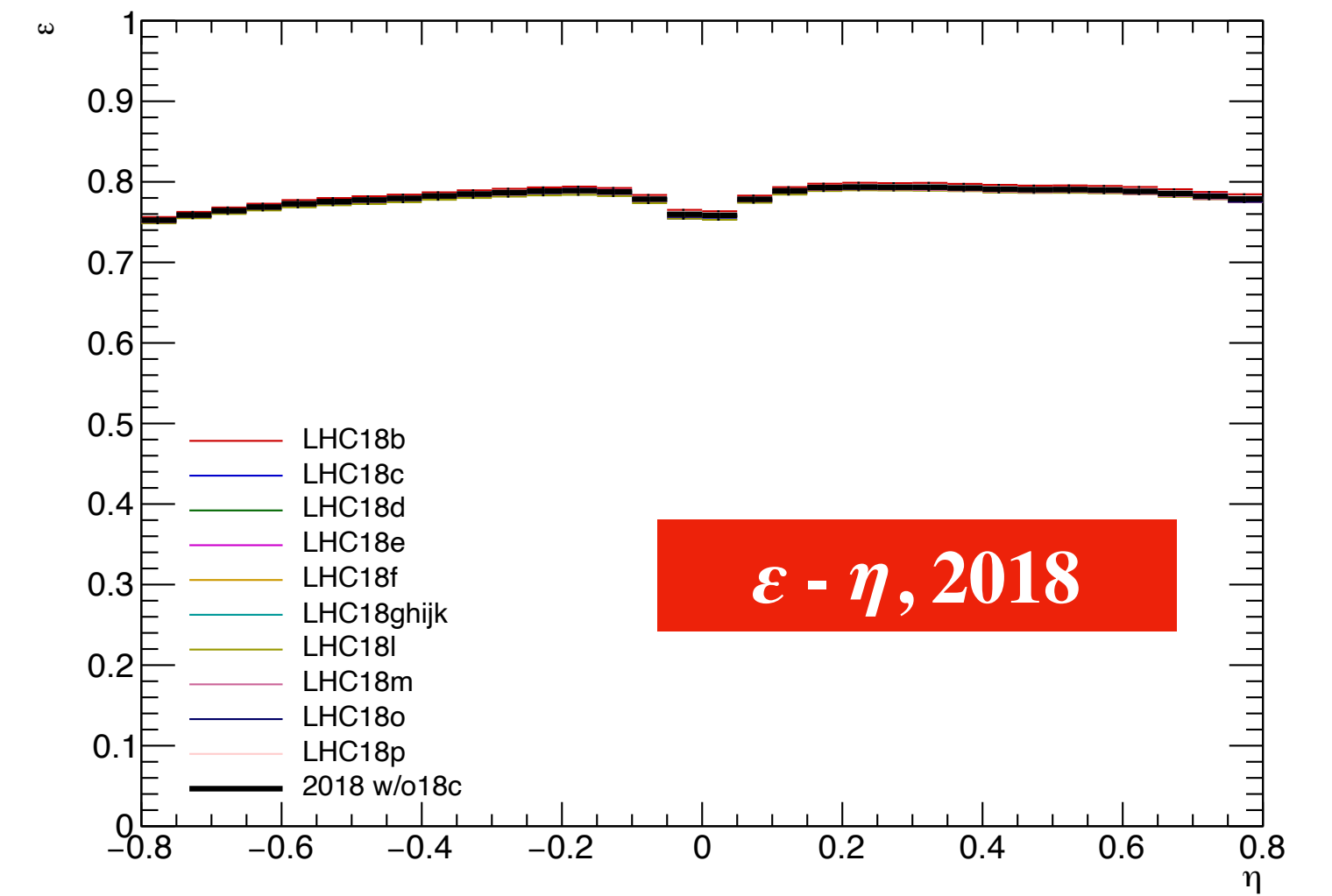
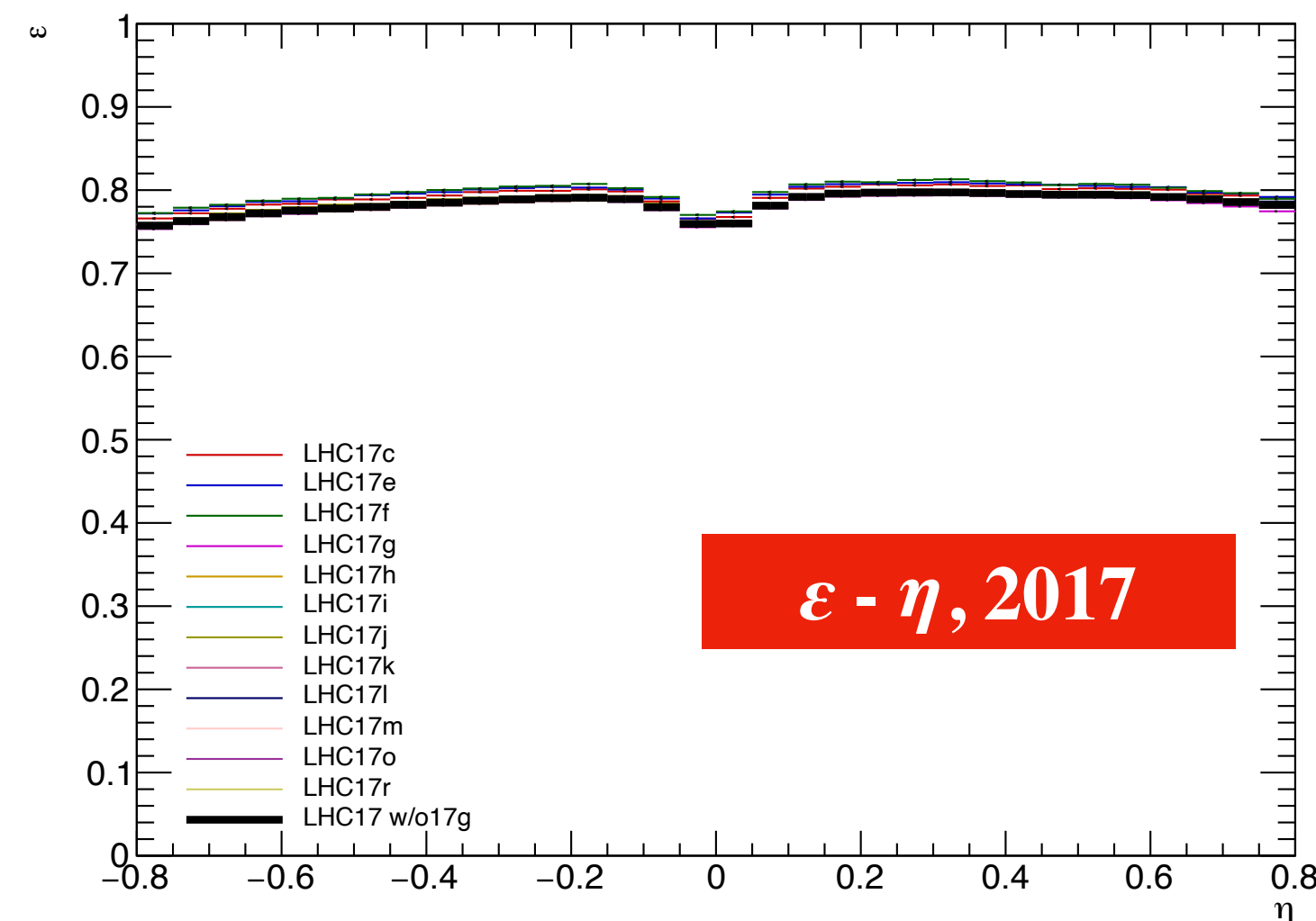
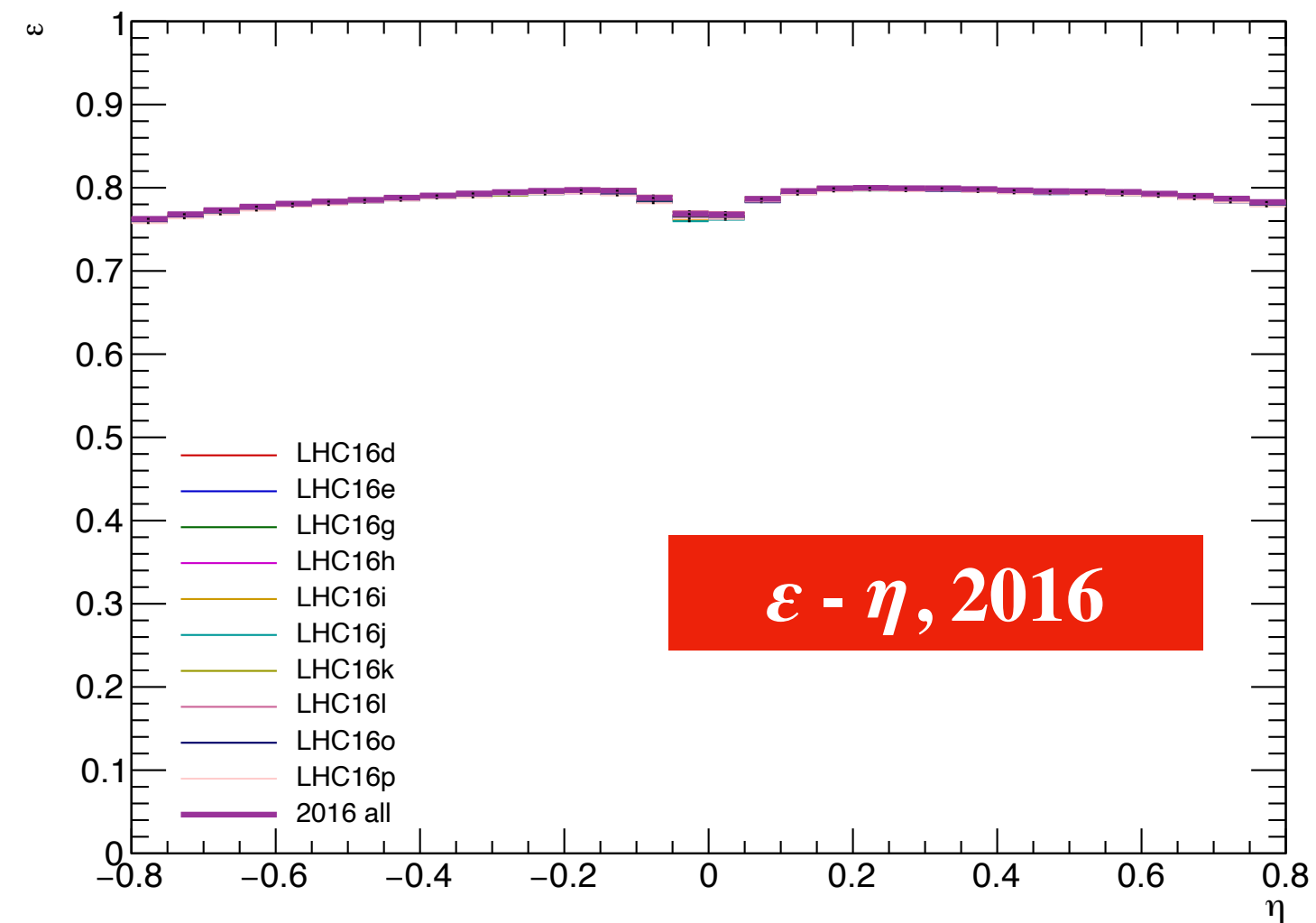
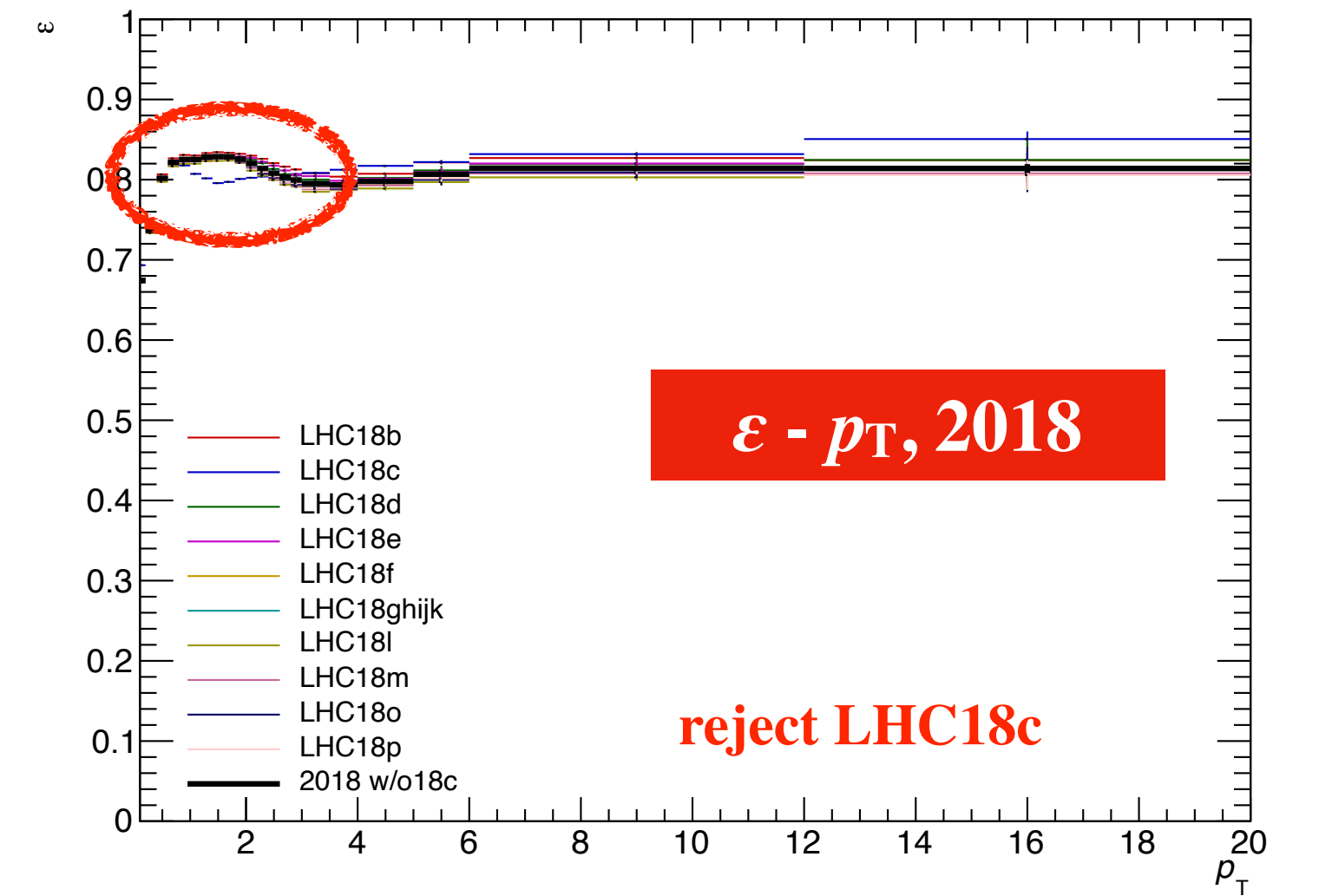
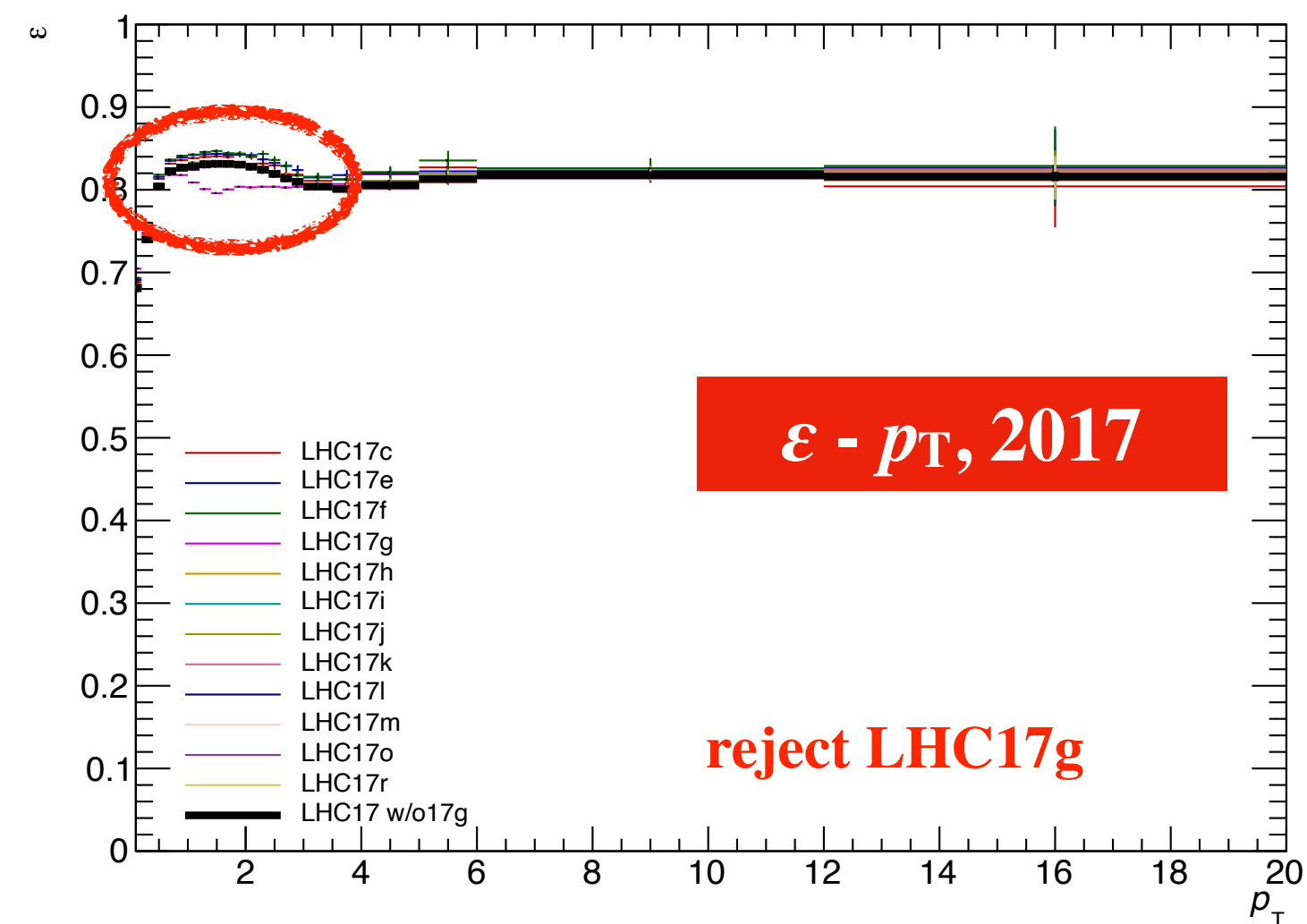
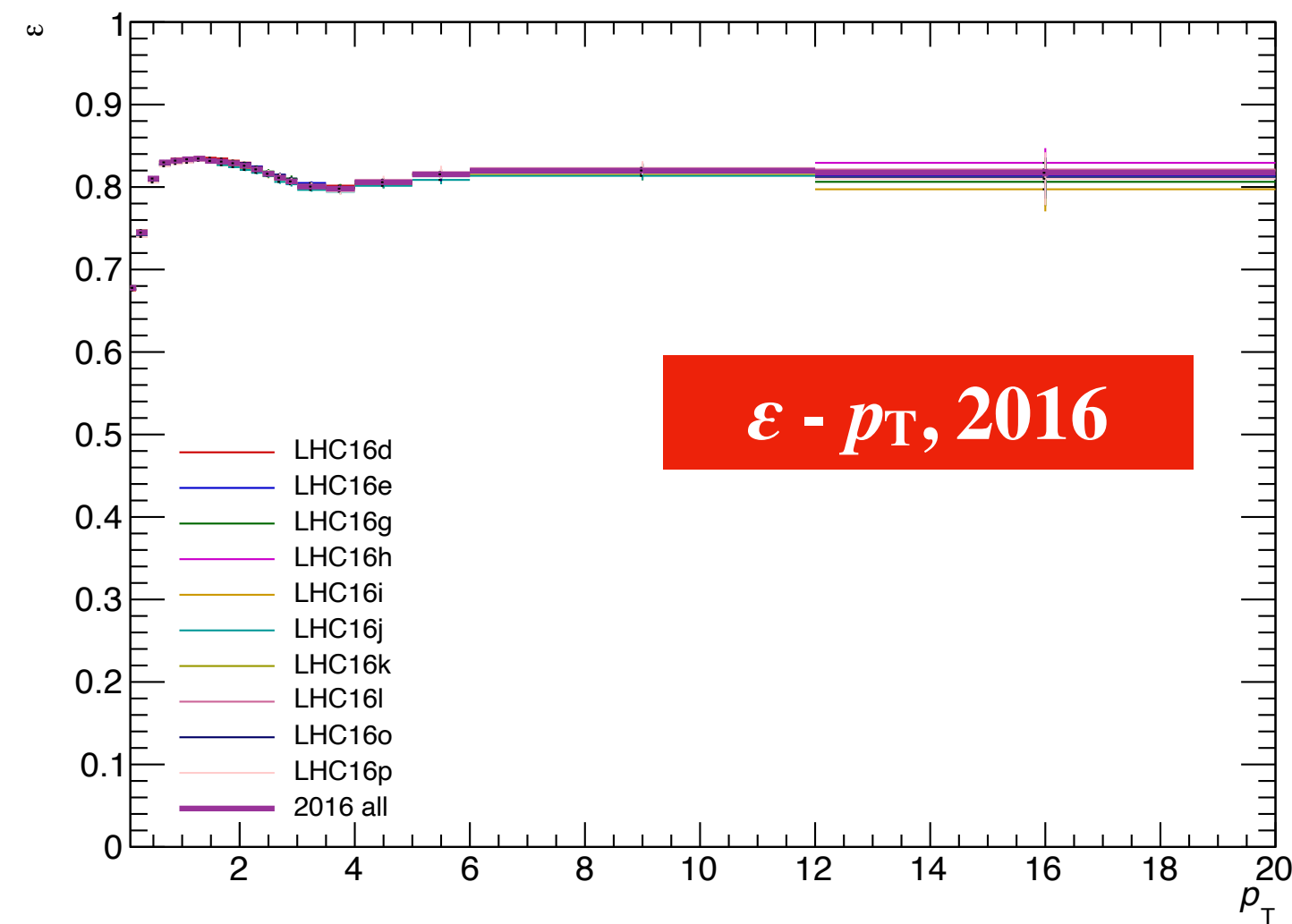


- Combine $p_{T,assoc}$ bins in each $p_{T,trig}$ intervals

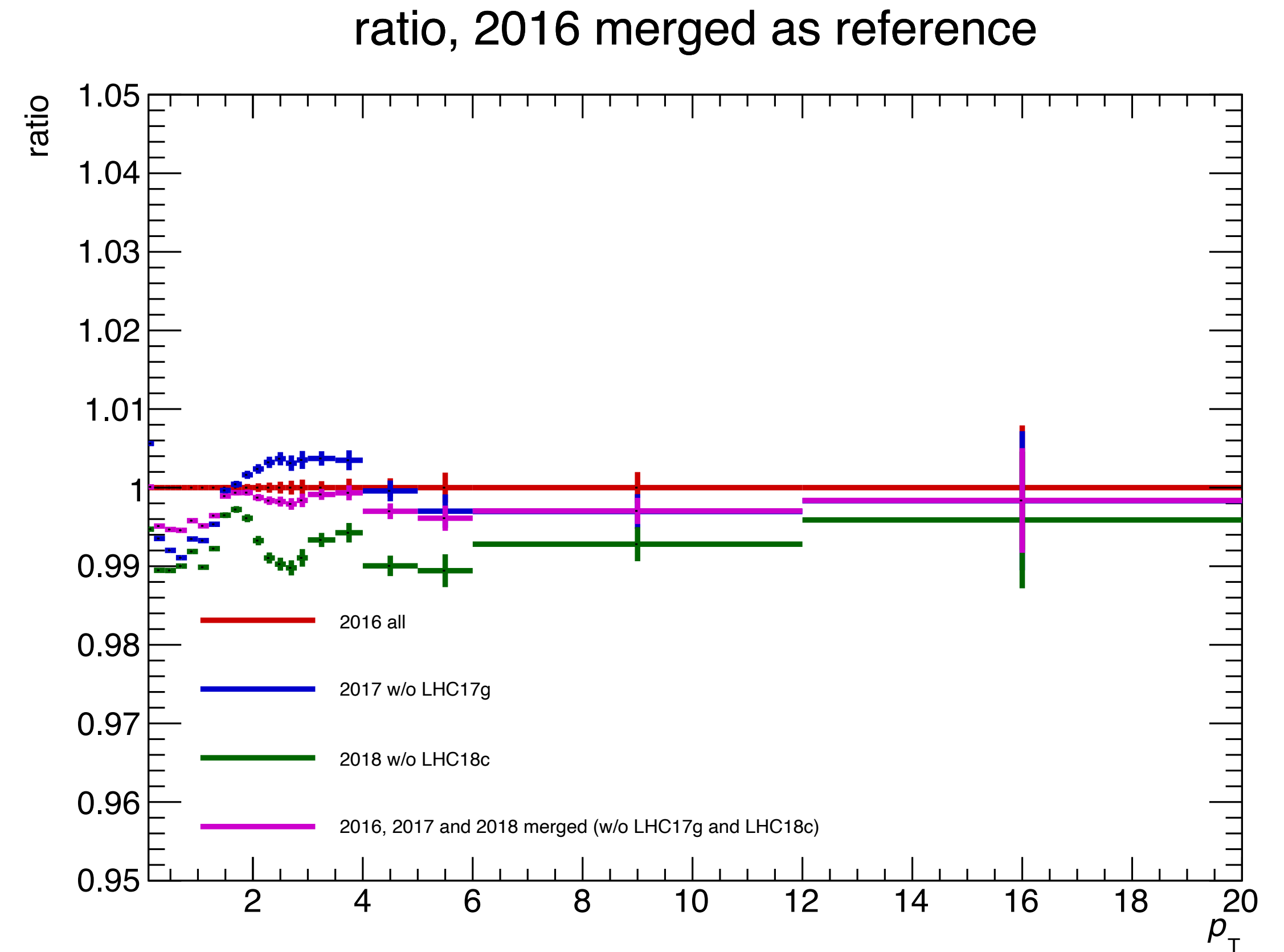
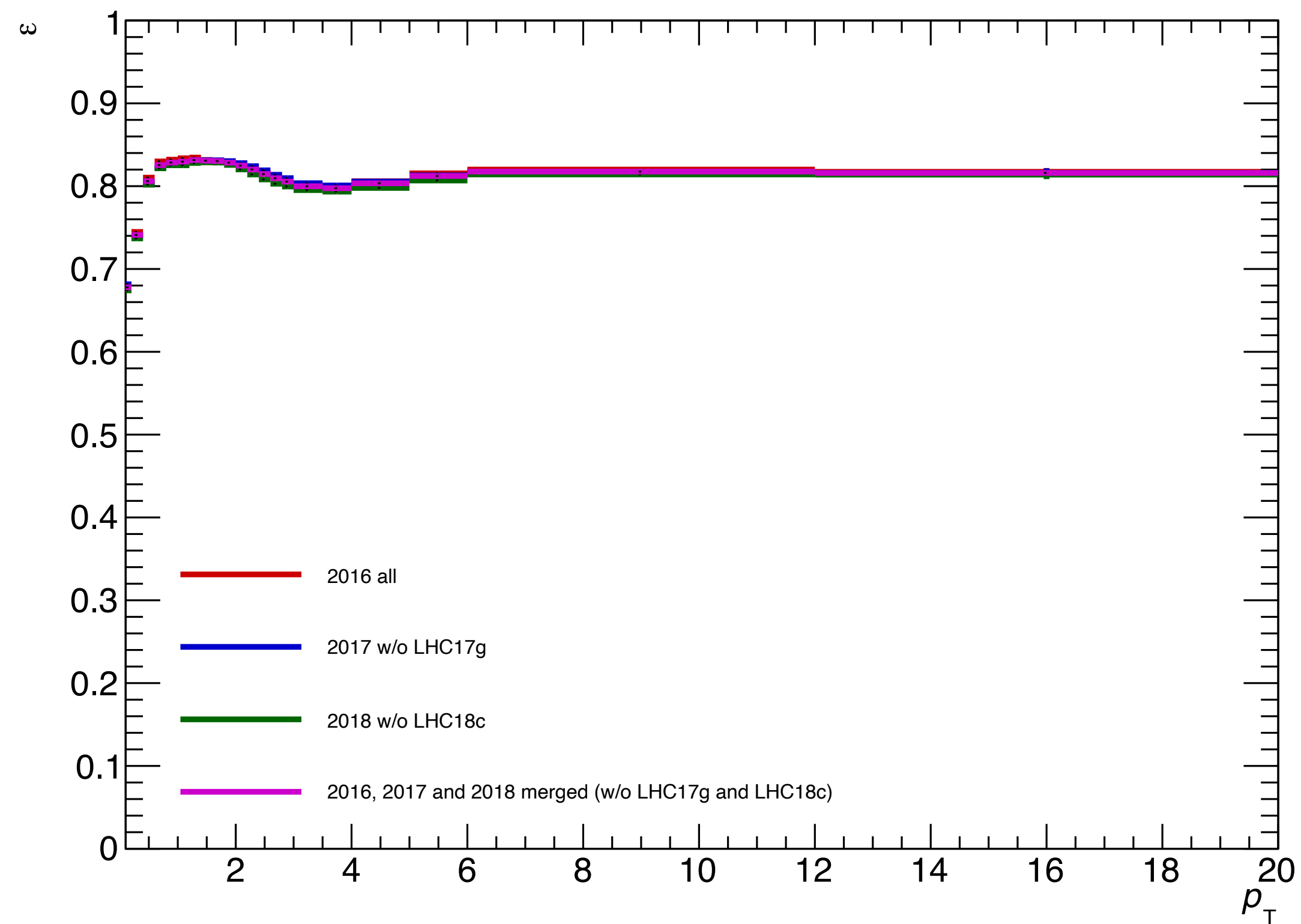
Data	<i>LHC16d</i>	<i>LHC16e</i>	<i>LHC16g</i>	<i>LHC16h</i>	<i>LHC16i</i>	<i>LHC16j</i>	<i>LHC16k</i>	<i>LHC16l</i>	<i>LHC16o</i>	<i>LHC16p</i>	Total
<i>Number of MB Events (M)</i>	~ 34	~ 58	~ 25	~ 68	~ 30	~ 46	~ 114	~ 31	~ 34	~ 20	~ 460
MC	LHC20f2b2	LHC21d4a	LHC21d4a	LHC21d5a	LHC21d4a	LHC21d8a	LHC21d8a/ LHC21d8a_extra	LHC18f1/ LHC18f1_extra	LHC21e1a	LHC21e2a	Total
<i>Number of MC Events (M)</i>	~ 34	~ 15	~ 7	~ 18	~ 8	~ 12	~ 118	~ 30	~ 9	~ 5	~ 256

Data	<i>LHC17c</i>	<i>LHC17e</i>	<i>LHC17f</i>	<i>LHC17g</i> <i>(rejected)</i>	<i>LHC17h</i>	<i>LHC17i</i>	<i>LHC17j</i>	<i>LHC17k</i>	<i>LHC17l</i>	<i>LHC17m</i>	<i>LHC17o</i>	<i>LHC17r</i>	Total (w/o LHC17g)
<i>Number of MB Events (M)</i>	~ 9	~ 10	~ 9	~ 101	~ 125	~ 44	~ 38	~ 79	~ 66	~ 72	~ 96	~ 24	~ 572
MC	LHC21g4a	LHC21g4a	LHC21g4a	LHC21g3a	LHC21g1a	LHC21g2a	LHC21g4a	LHC21i4a	LHC21h1a	LHC21i5a	LHC21i6a	LHC21h2a	Total (w/o LHC17g)
<i>Number of MC Events (M)</i>	~ 2	~ 2	~ 2	~ 23	~ 32	~ 13	~ 9	~ 27	~ 16	~ 22	~ 26	~ 7	~ 158

Data	<i>LHC18b</i>	<i>LHC18c</i> <i>(rejected)</i>	<i>LHC18d</i>	<i>LHC18e</i>	<i>LHC18f</i>	<i>LHC18g</i>	<i>LHC18h</i>	<i>LHC18i</i>	<i>LHC18j</i>	<i>LHC18k</i>	<i>LHC18l</i>	<i>LHC18m</i>	<i>LHC18o</i>	<i>LHC18p</i>	Total (w/o LHC18c)
<i>Number of MB Events (M)</i>	~ 170	~ 208	~ 37	~ 47	~ 51	~ 8	~ 3	~ 51	~ 0.07	~ 9	~ 65	~ 181	~ 27	~ 63	~ 712
MC	LHC21c6a	LHC21a6a_cent	LHC21c7a	LHC21c8a	LHC21b5a	LHC21d3a	LHC21d3a	LHC21d3a	LHC21d3a	LHC21d3a	LHC21a4a	LHC21a5a	LHC21b4a	LHC21b3a	Total (w/o LHC18c)
<i>Number of MC Events</i>	~ 44	~ 59	~ 10	~ 13	~ 13	~ 2	~ 0.9	~ 13	~ 0.02	~ 2	~ 18	~ 7	~ 50	~ 17	~ 190



Tracking efficiency for different periods

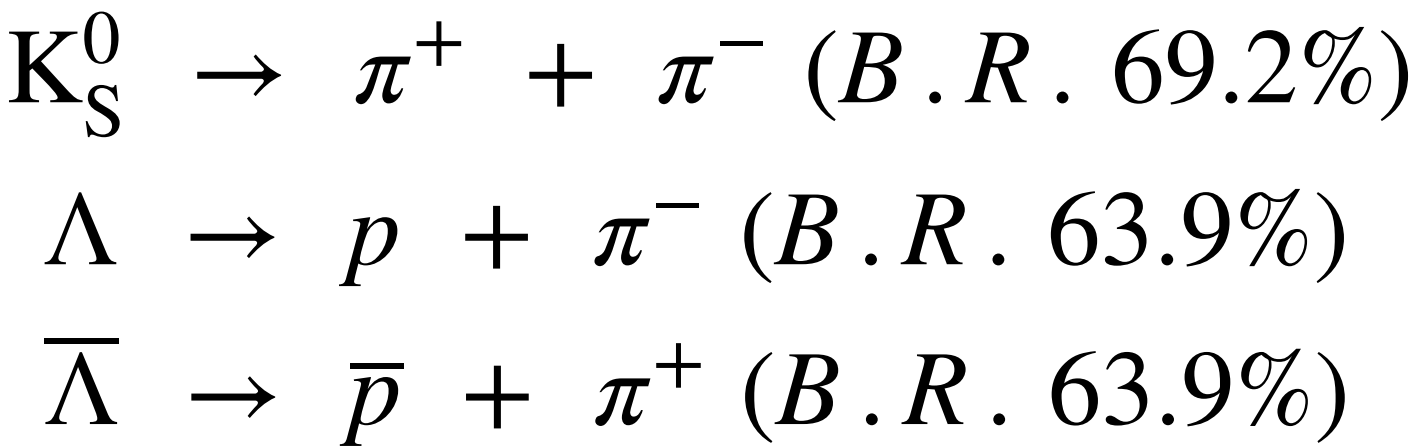
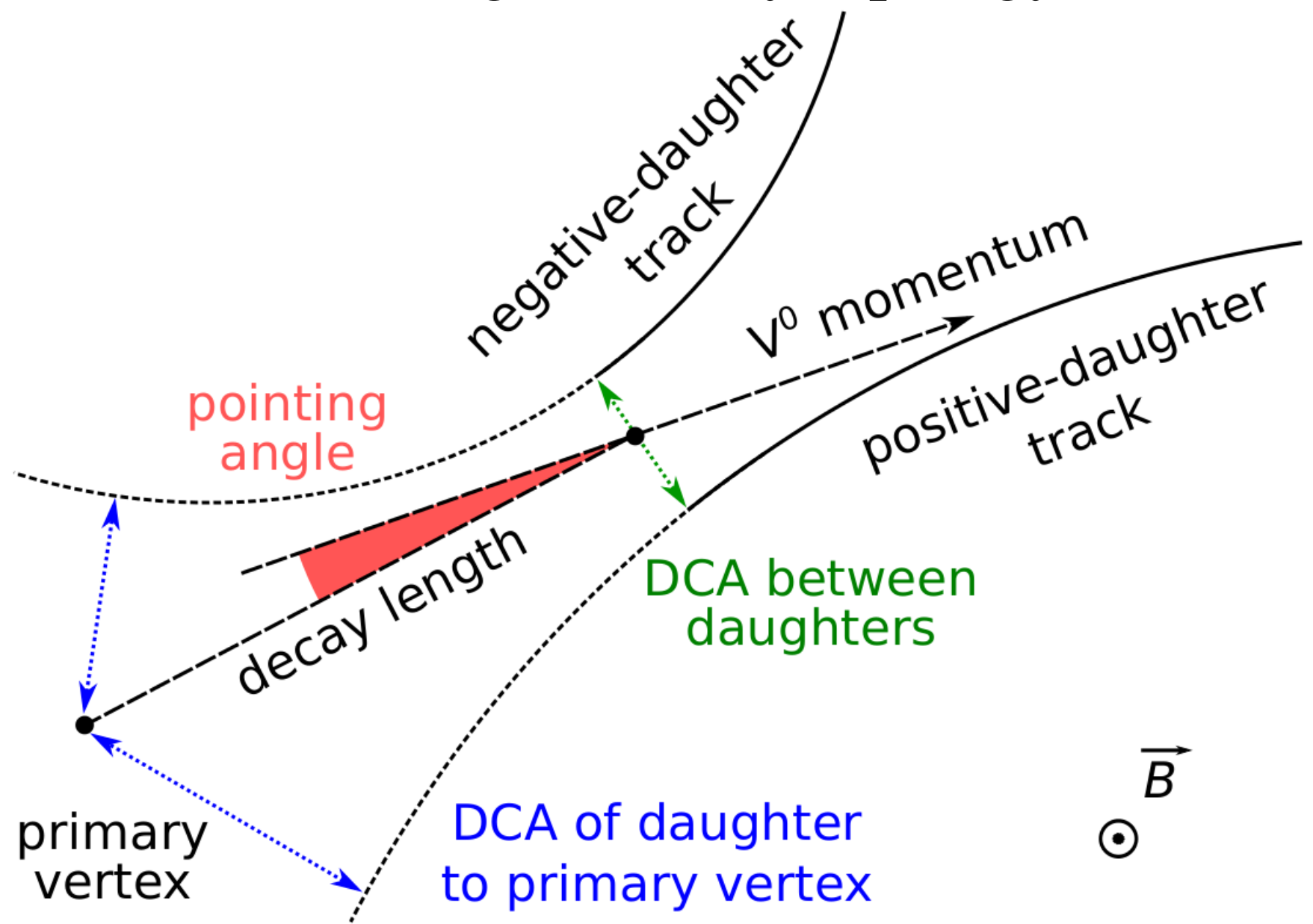


- Selected data can be merged
 - ➡ For 2016 data —> include all
 - ➡ For 2017 data —> exclude LHC17g
 - ➡ For 2018 data —> exclude LHC18c

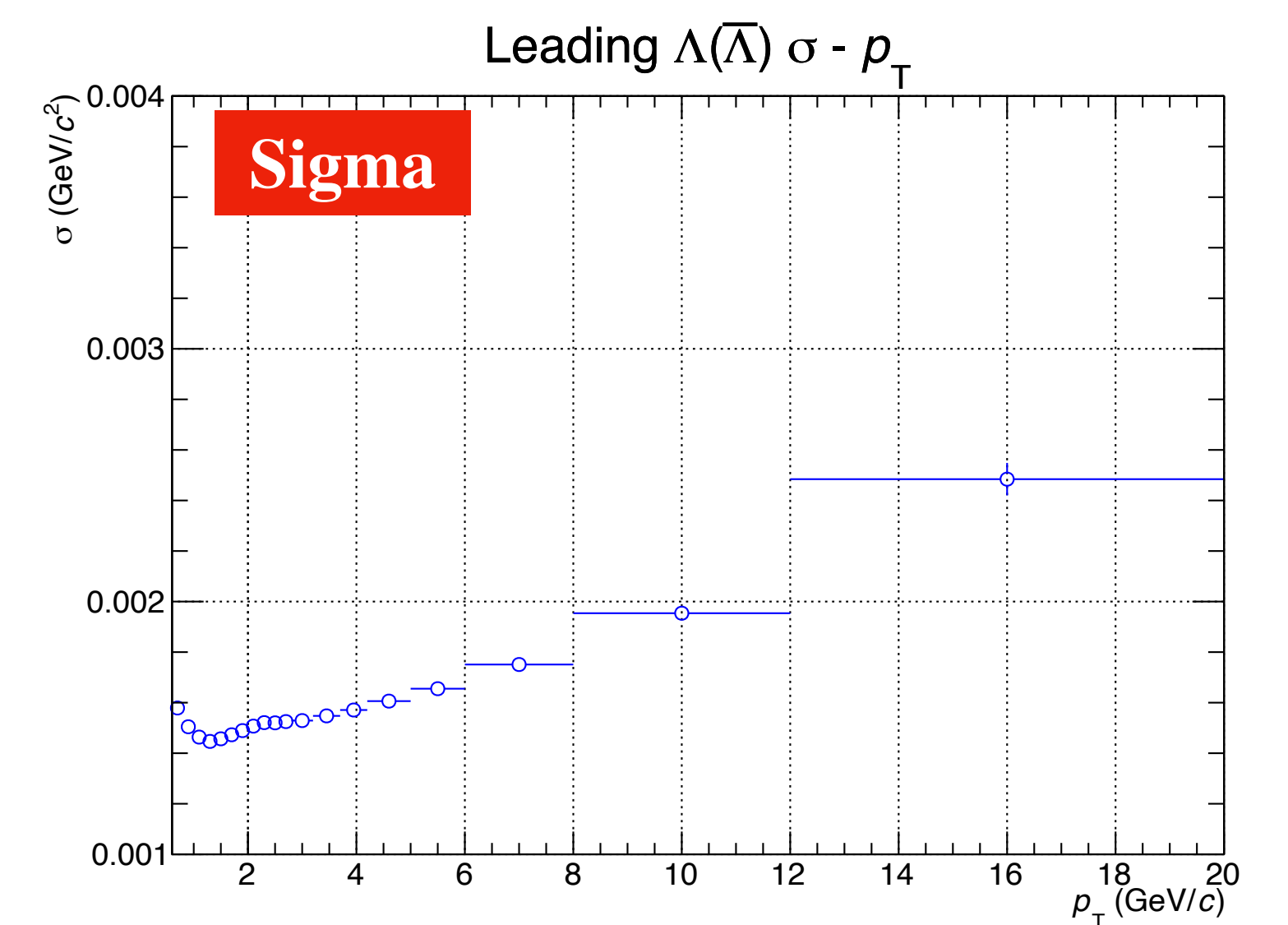
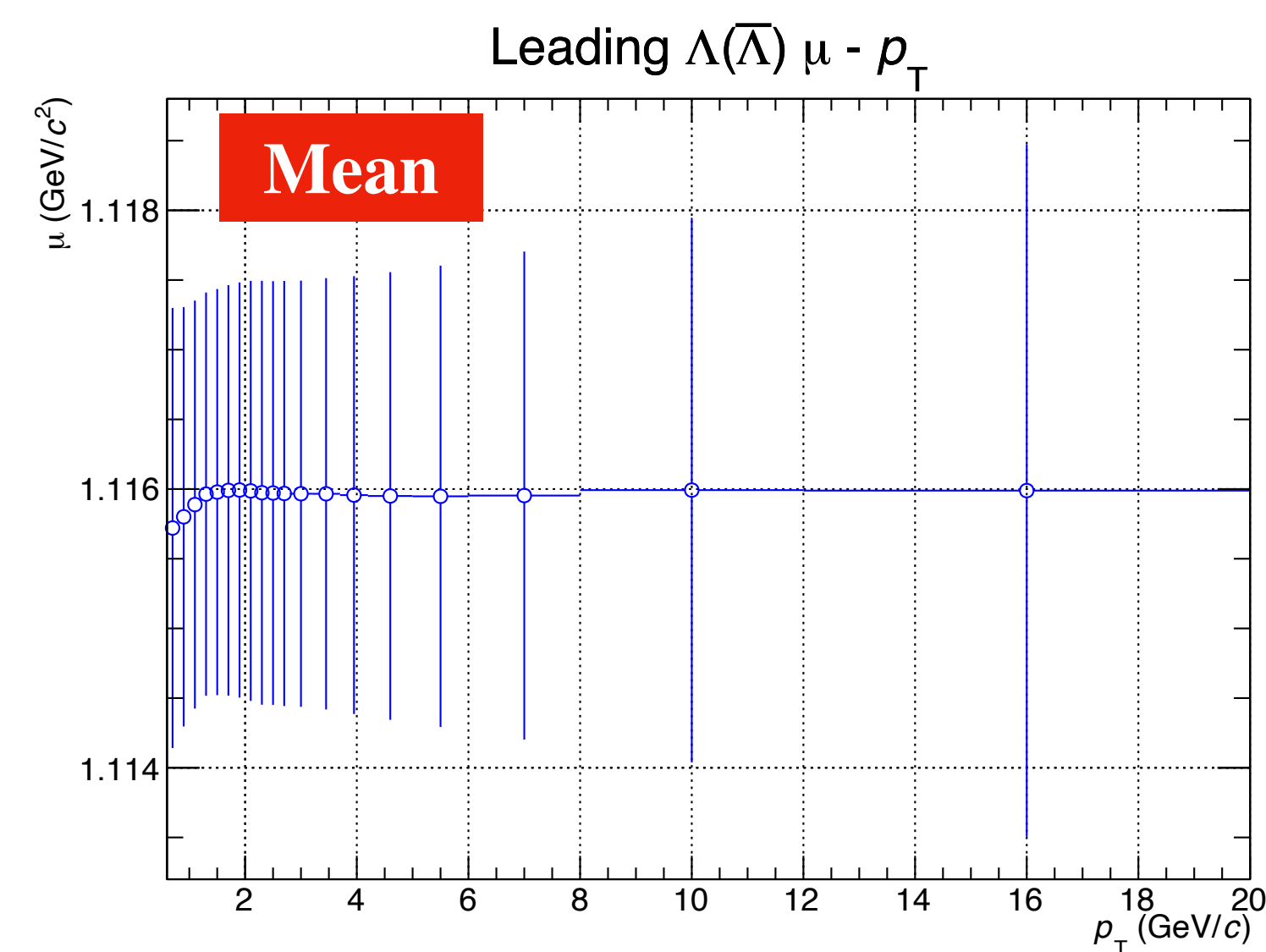
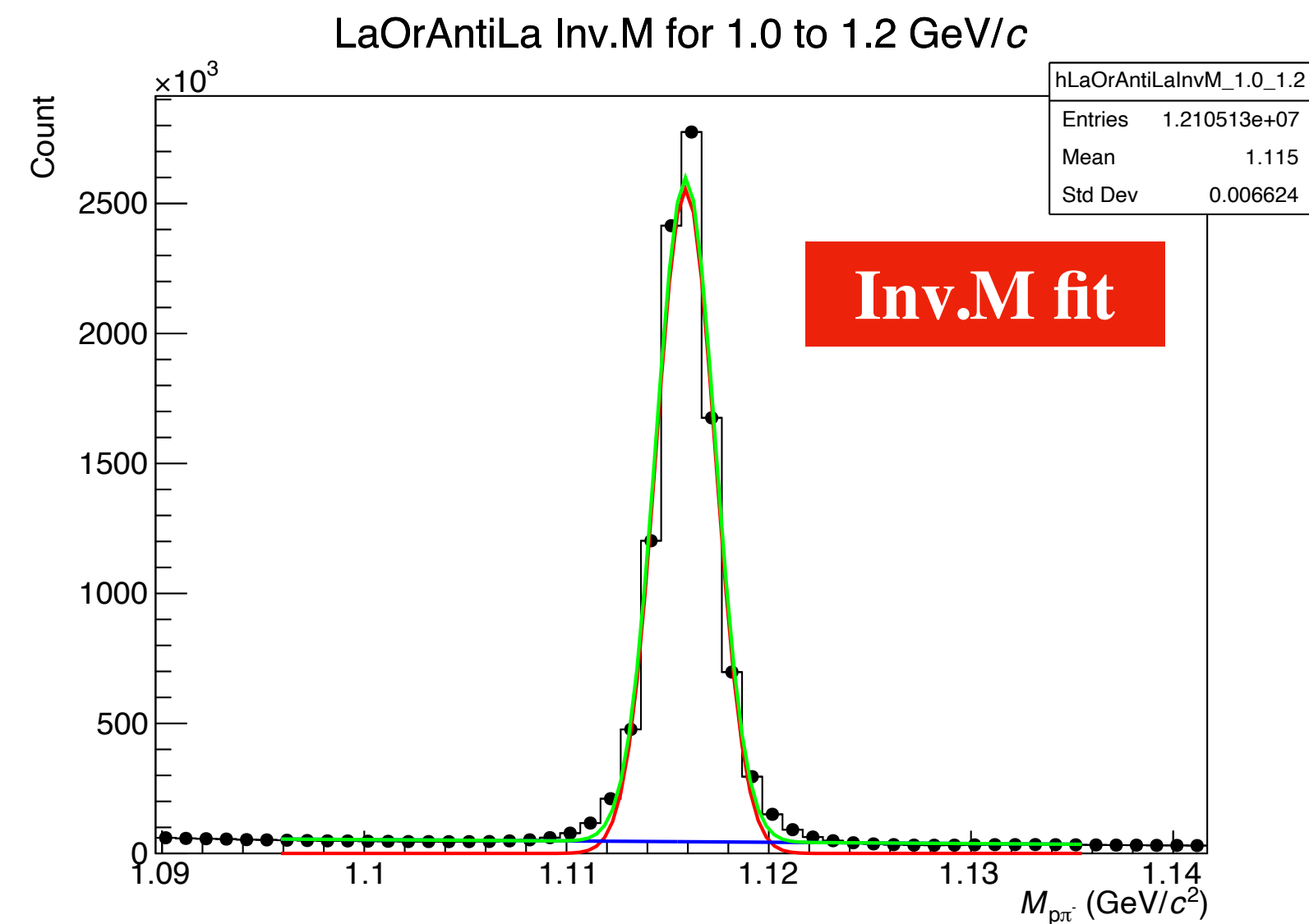
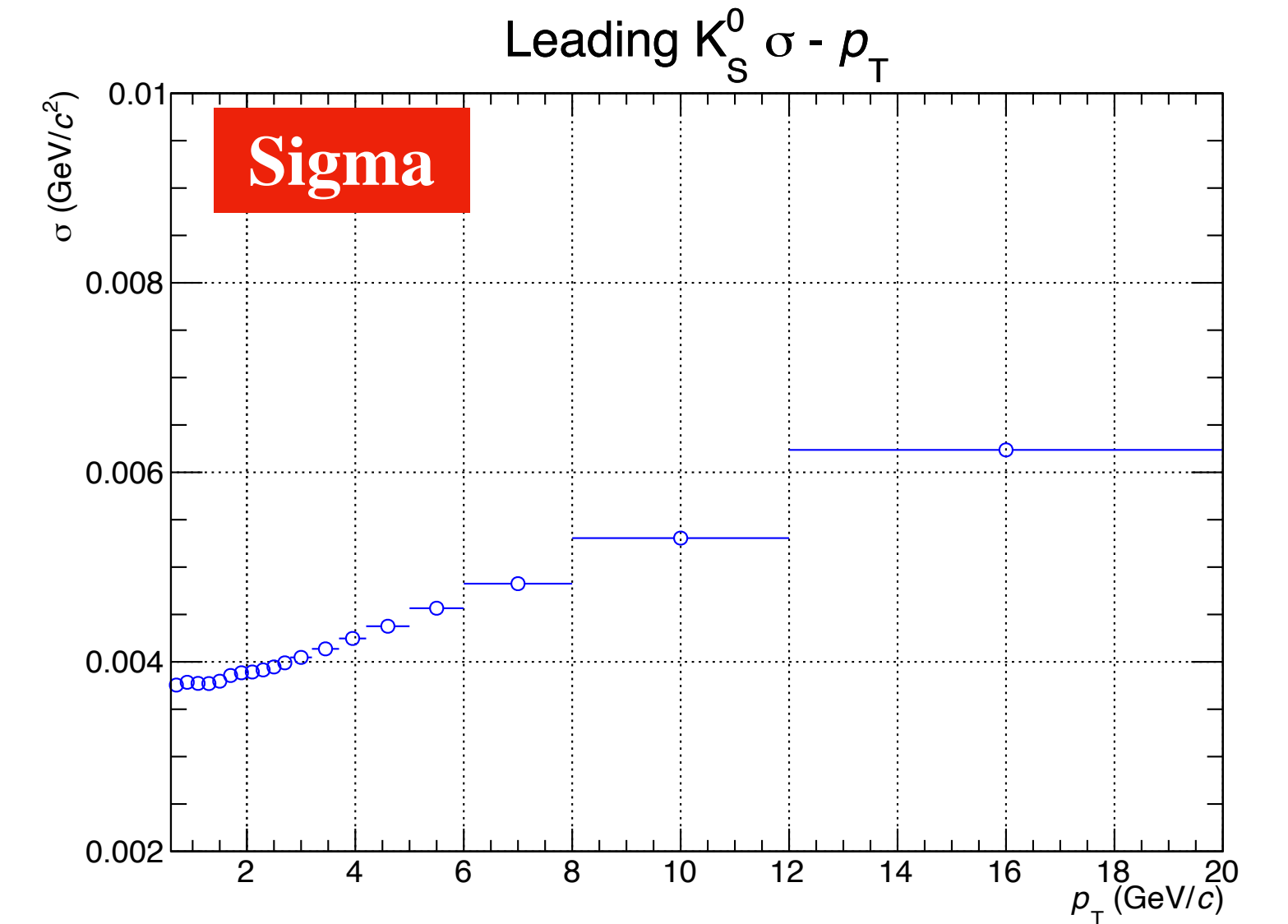
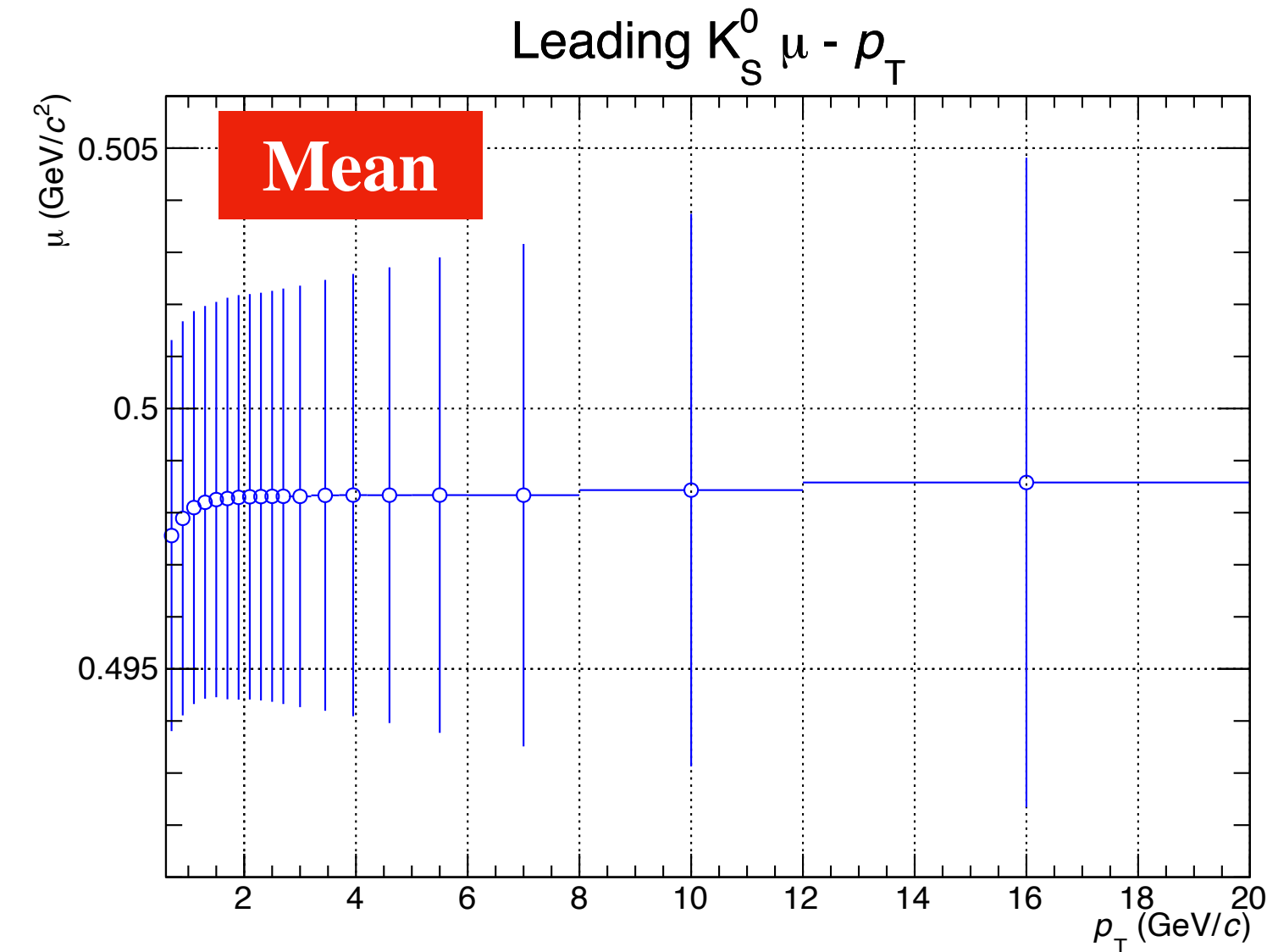
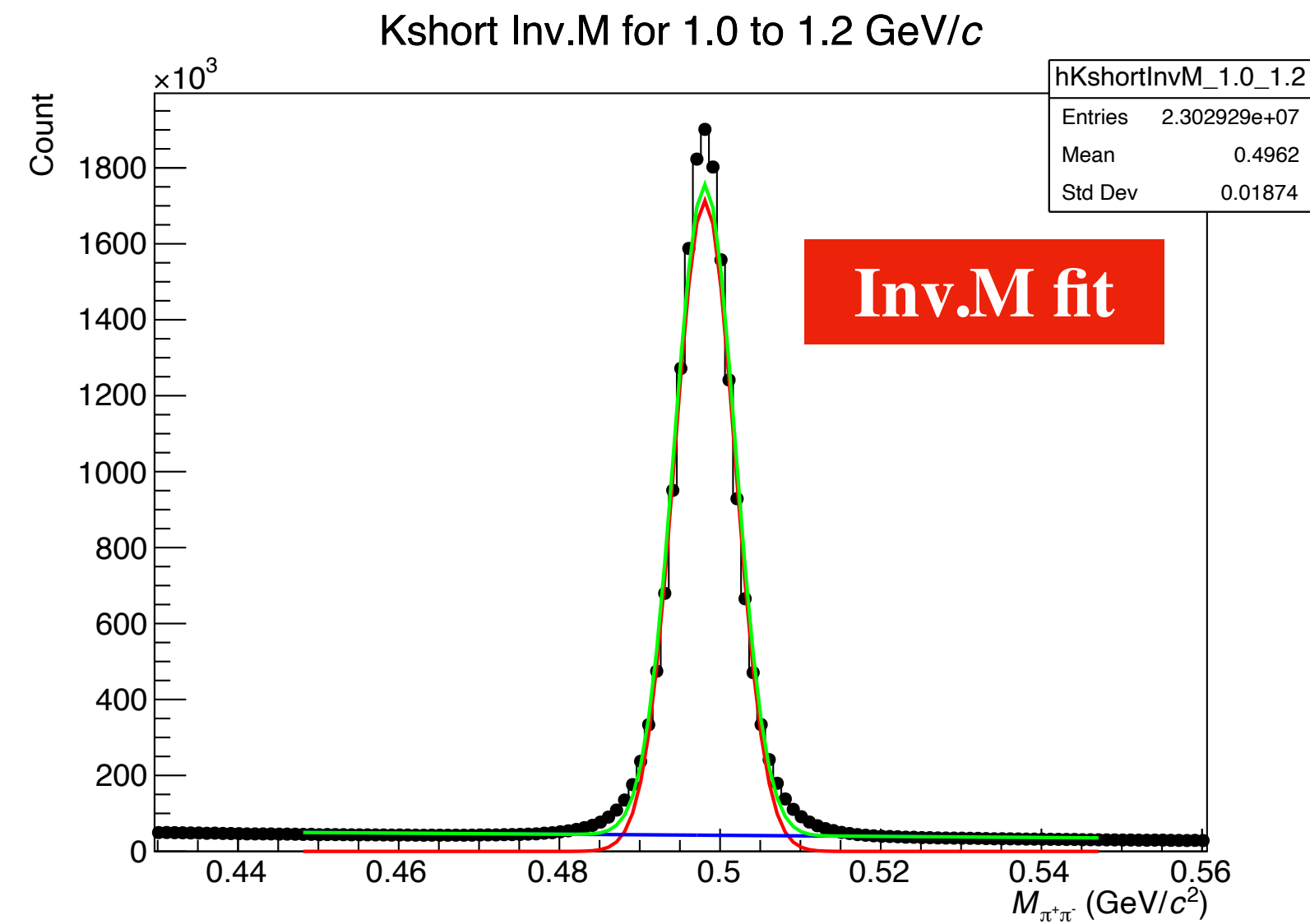
Analysis details

<i>variables</i>	K_S^0 cut	$\Lambda(\bar{\Lambda})$ cut
$ \eta $ for trigger	< 0.75	< 0.75
2D decay radius	> 0.5 cm	> 0.5 cm
Cosine Pointing Angle	> 0.97	> 0.995
Proper lifetime(mL/p)	< 20 cm	< 30 cm
Competing mass	$ M_\Lambda - 1.11568 > 0.005$ GeV/ c^2	$ M_{K_S^0} - 0.497614 > 0.010$ GeV/ c^2
Daughter tracks DCA to PV	> 0.06 cm	> 0.06 cm
DCA between daughter tracks	$< 1\sigma$	$< 1\sigma$
$ \eta $ for daughter tracks	< 0.8	< 0.8
TPC dE/dx	$< 5\sigma$	$< 5\sigma$

Trigger is reconstructed via the decay products and selected using the decay topology



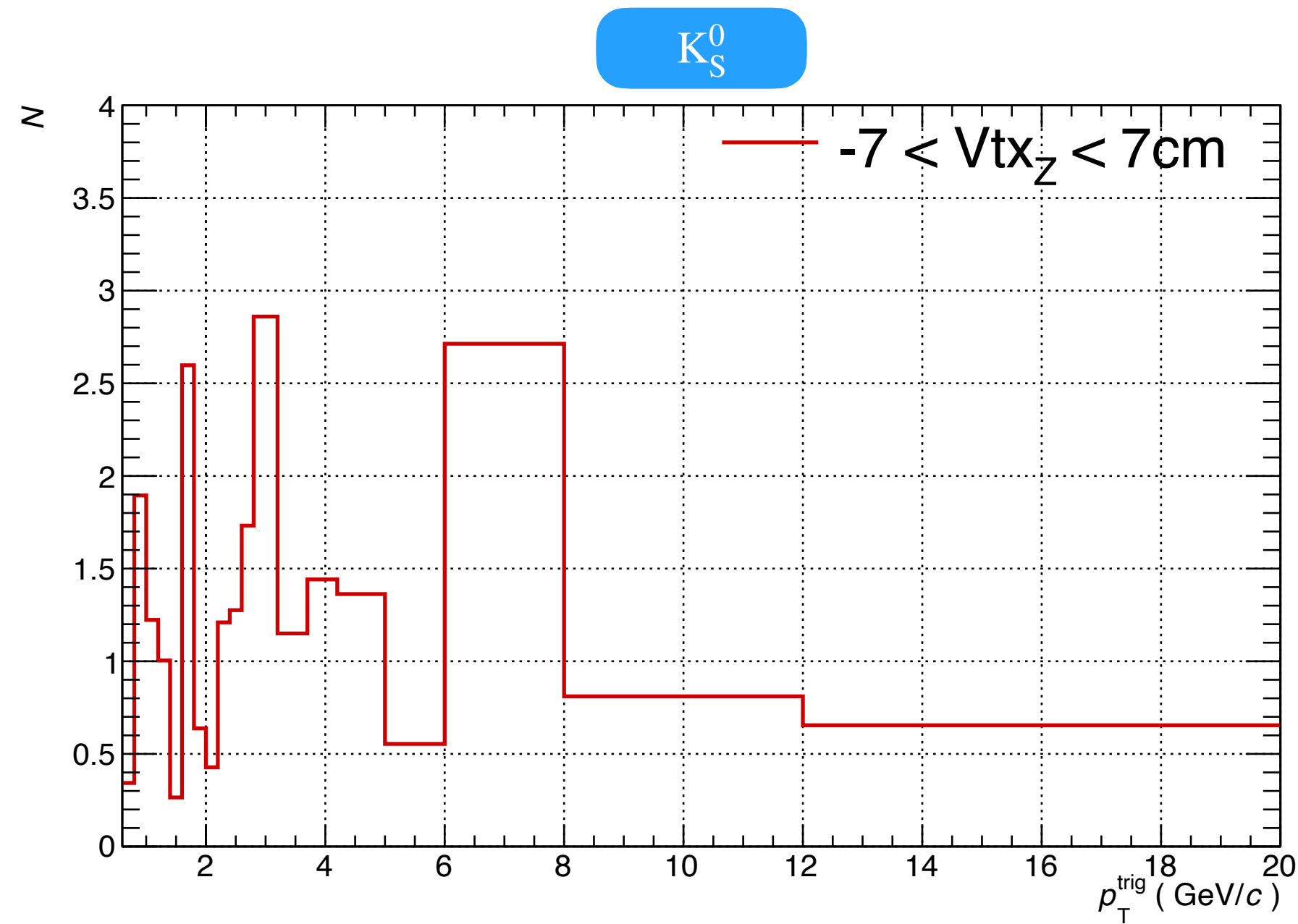
A link to strange particle in jet production analysis
[arXiv:2211.08936](https://arxiv.org/abs/2211.08936)



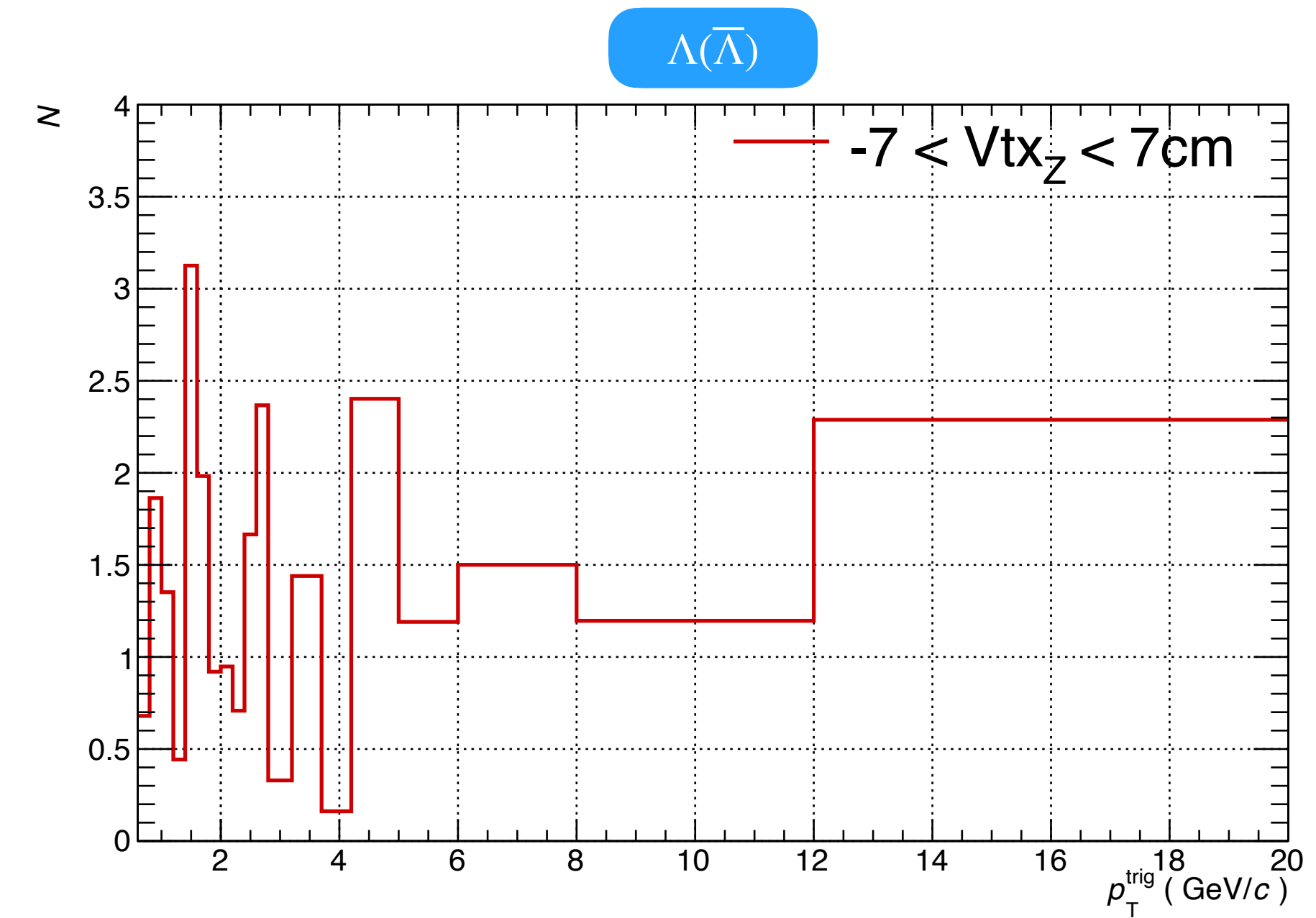
• Signal region: $0 < |M_{\text{inv}} - M_{\text{mean}}| < 3\sigma$; Sideband regions: $6\sigma < |M_{\text{inv}} - M_{\text{mean}}| < 9\sigma$

Systematic uncertainty details

- Selections on vertex z position:
 1. $-10 < Vtx_z < 10$ cm (**default**)
 2. $-7 < Vtx_z < 7$ cm



Barlow N

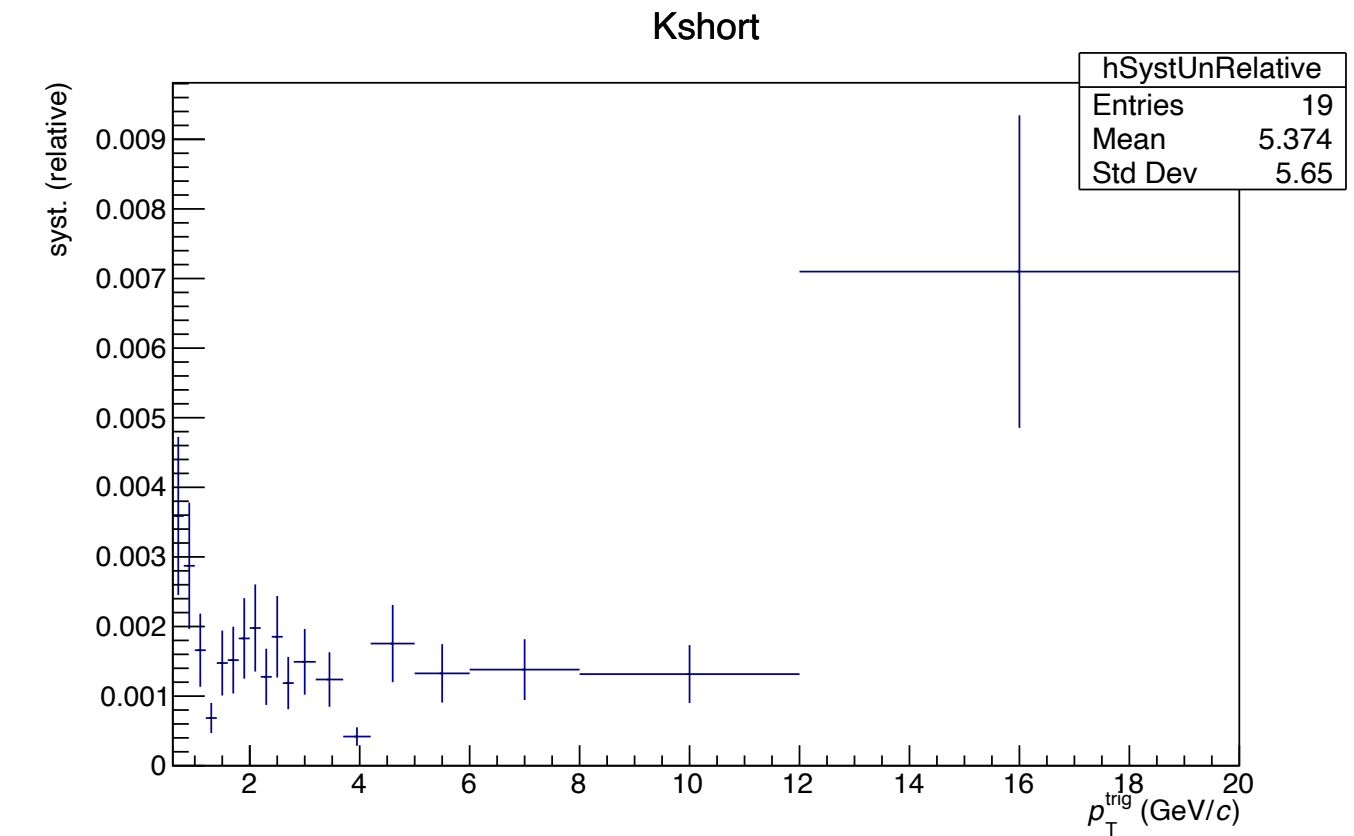
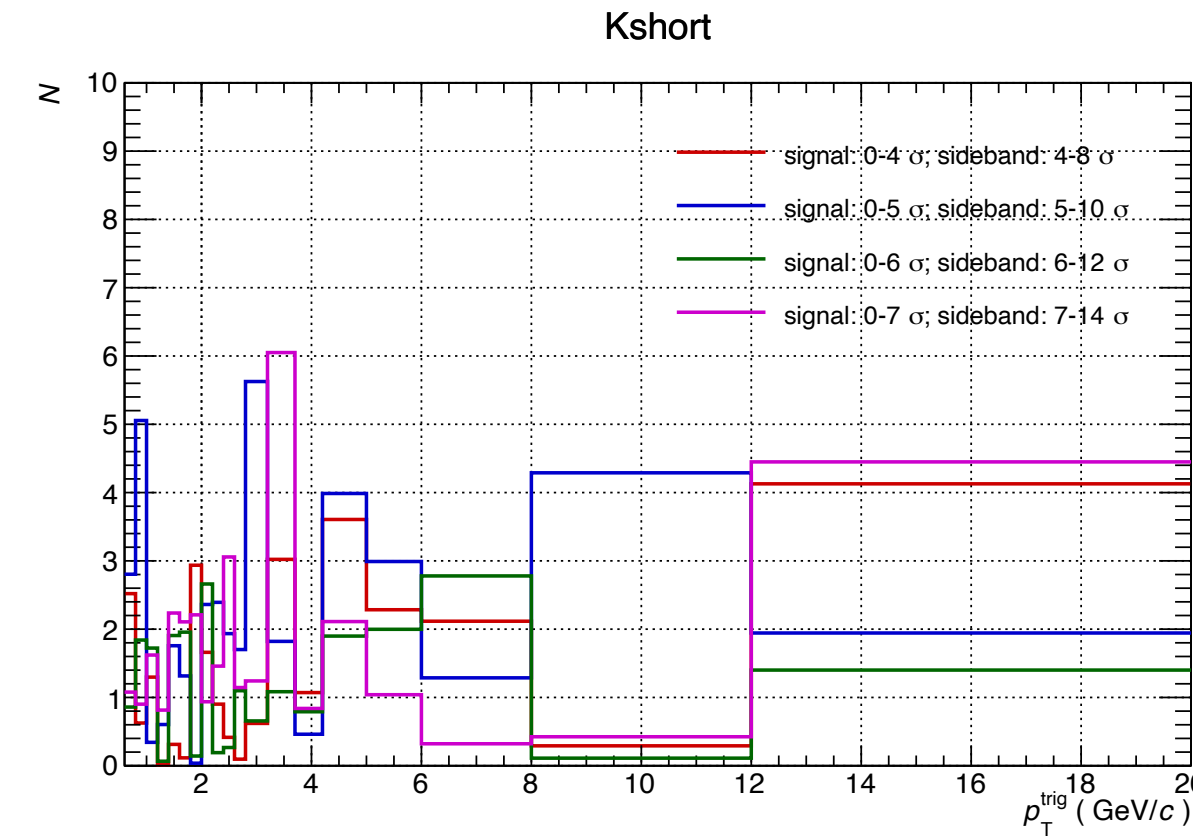
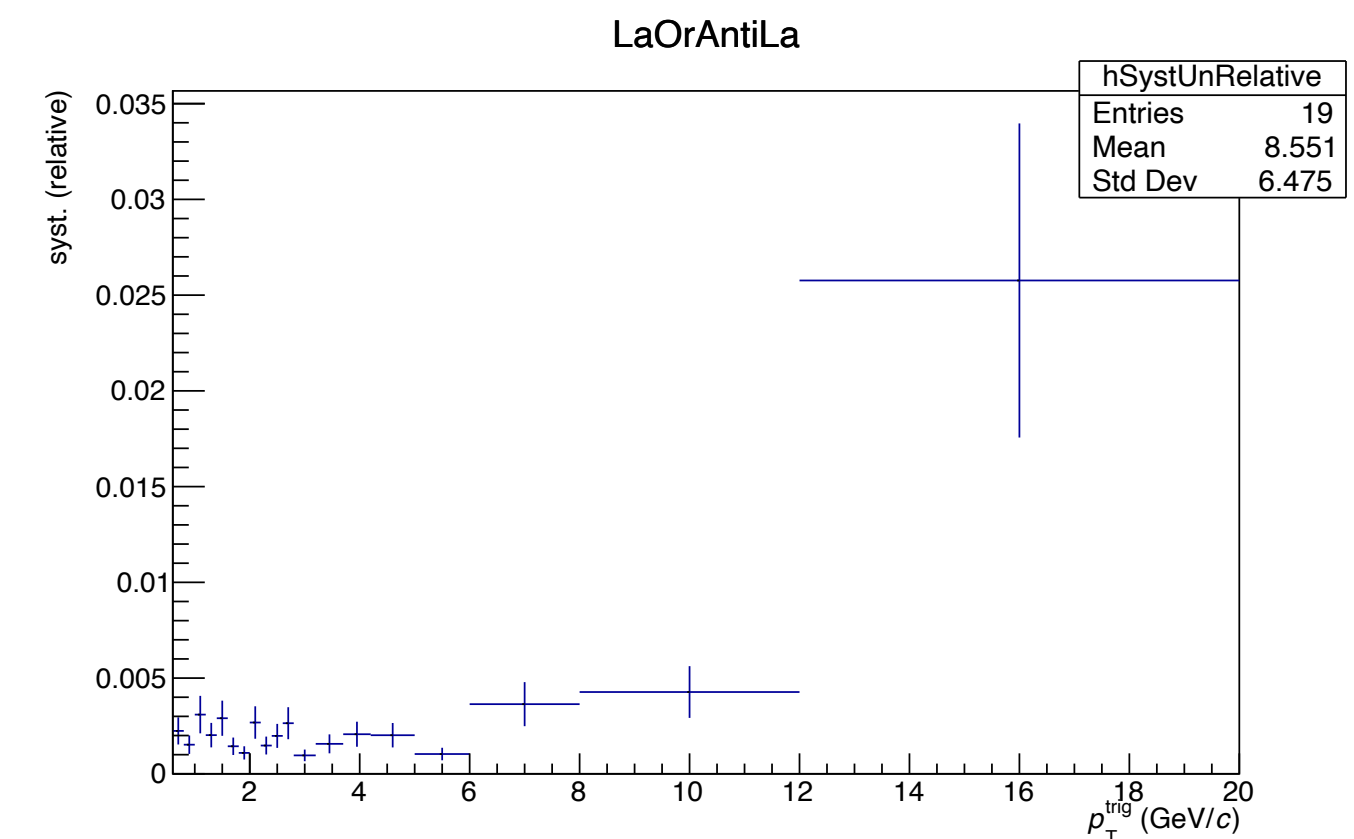
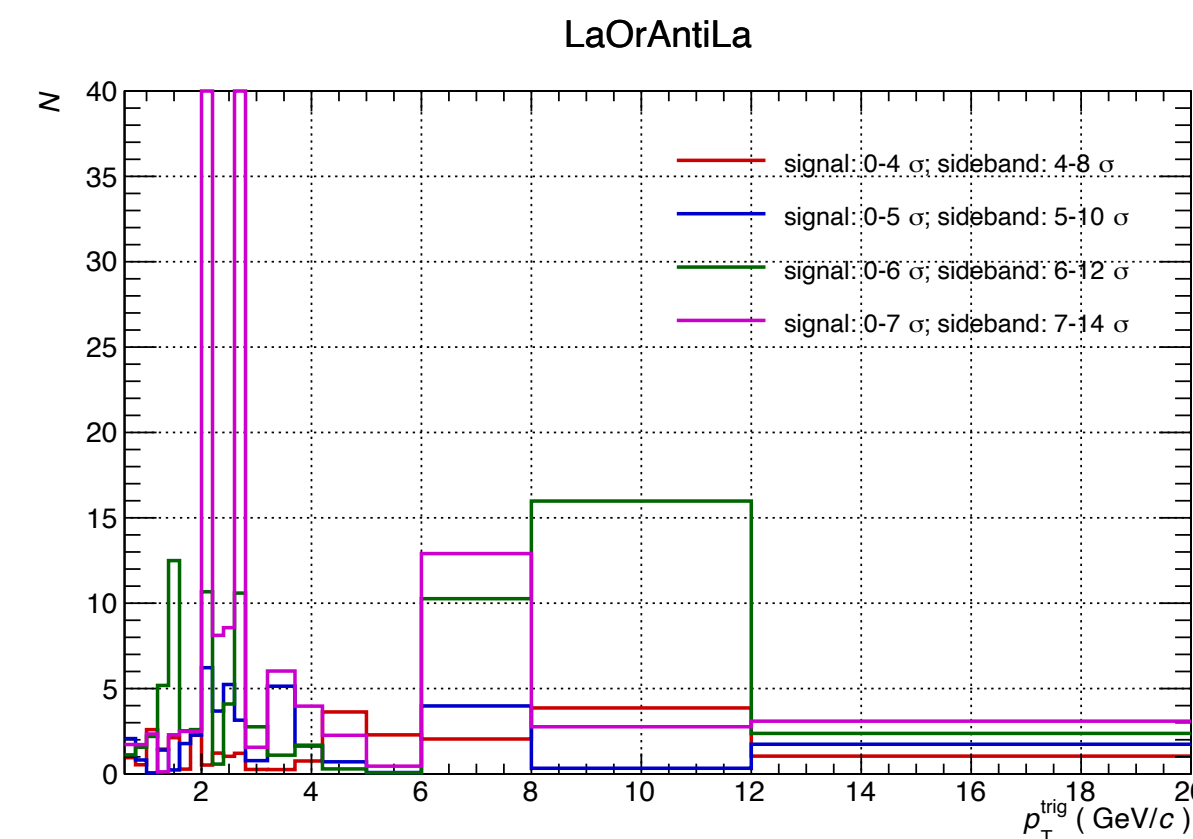


Barlow N

- For this source, the systematic uncertainty is assigned as the relative uncertainty

- Selection on signal and side band regions:

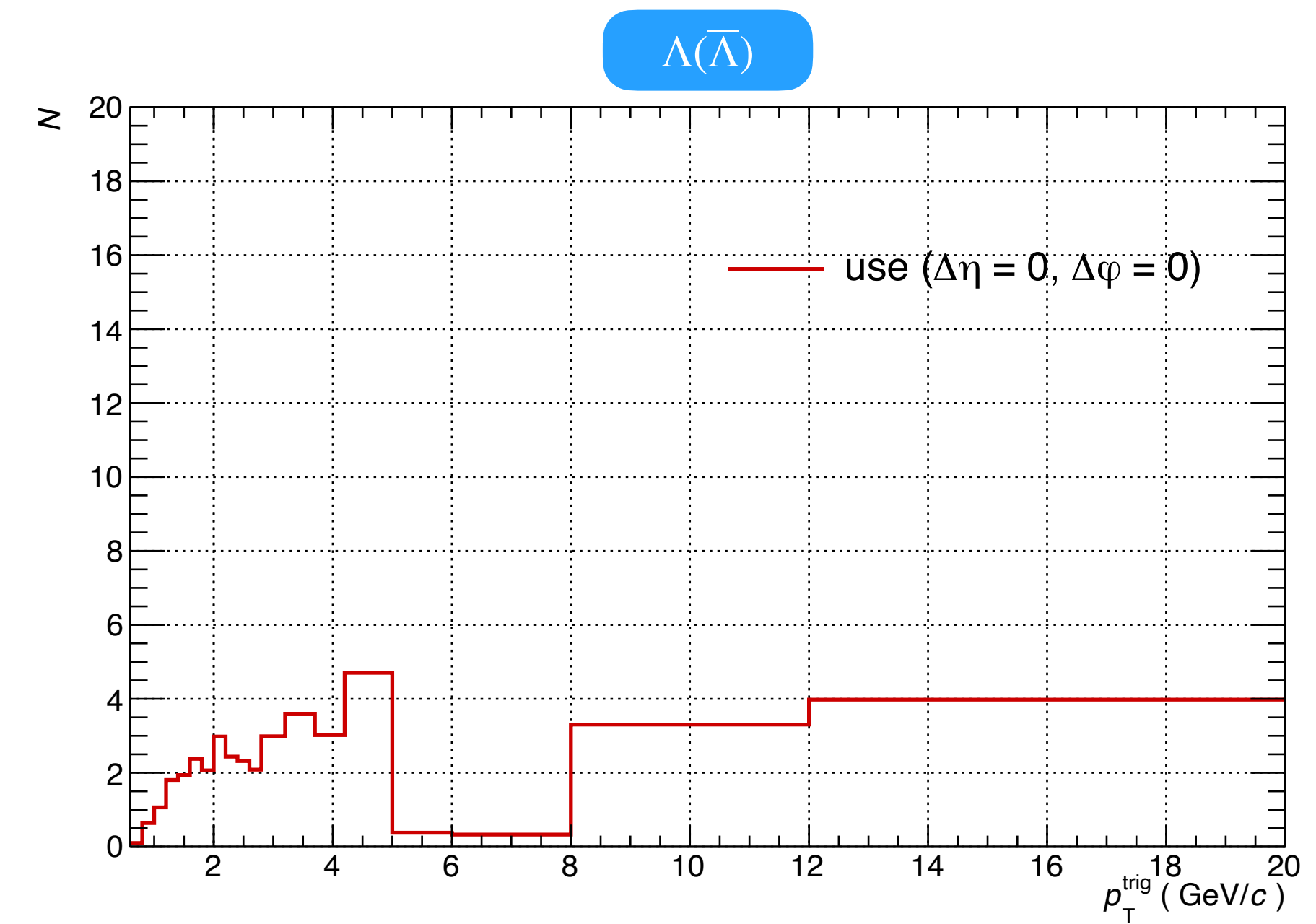
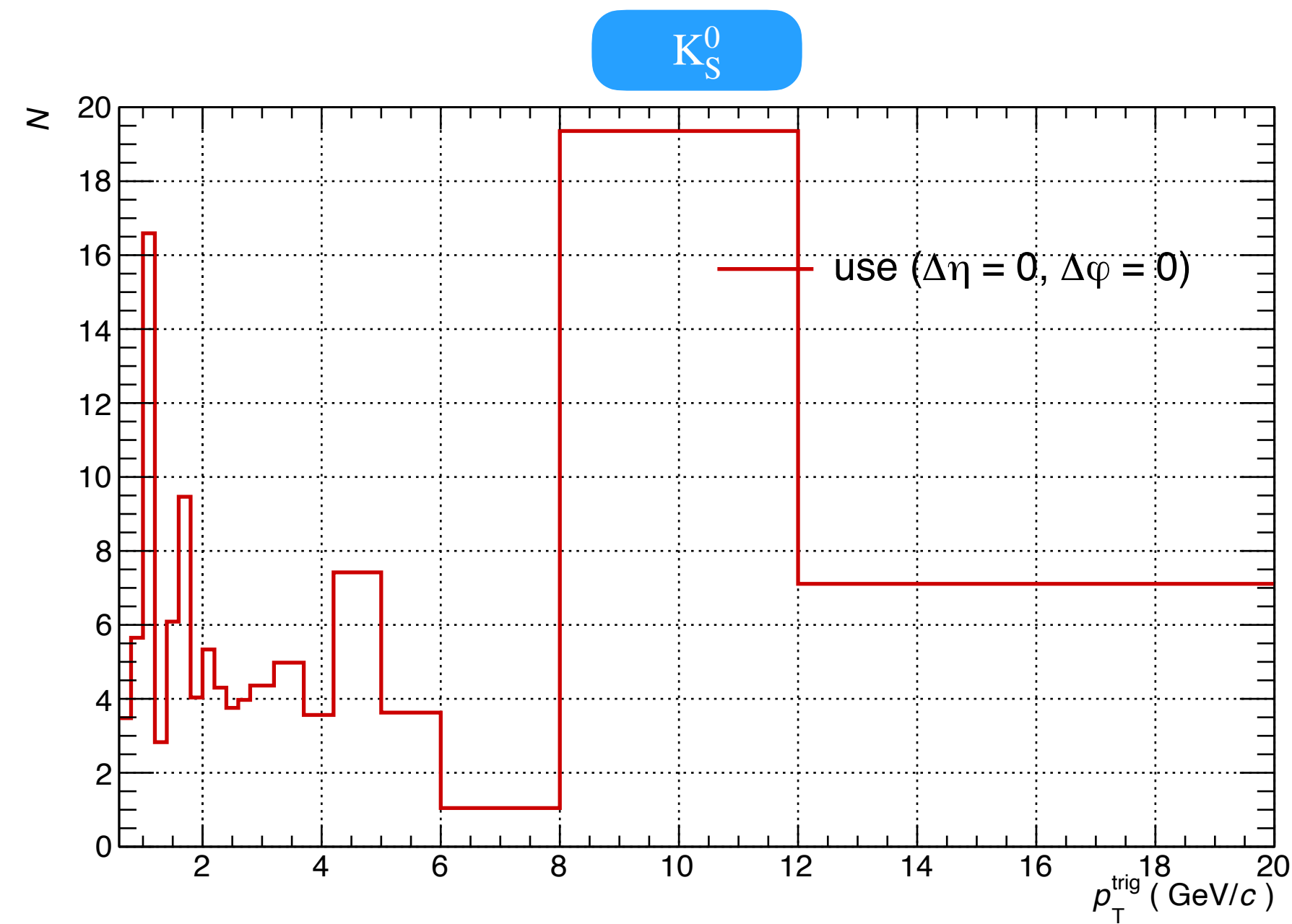
# of sigma from mean value		
	signal	side band
1(default)	0-3	6-9
2	0-4	4-8
3	0-5	5-10
4	0-6	6-12
5	0-7	7-14

 K_S^0

 $\Lambda(\bar{\Lambda})$

Barlow N

RMS

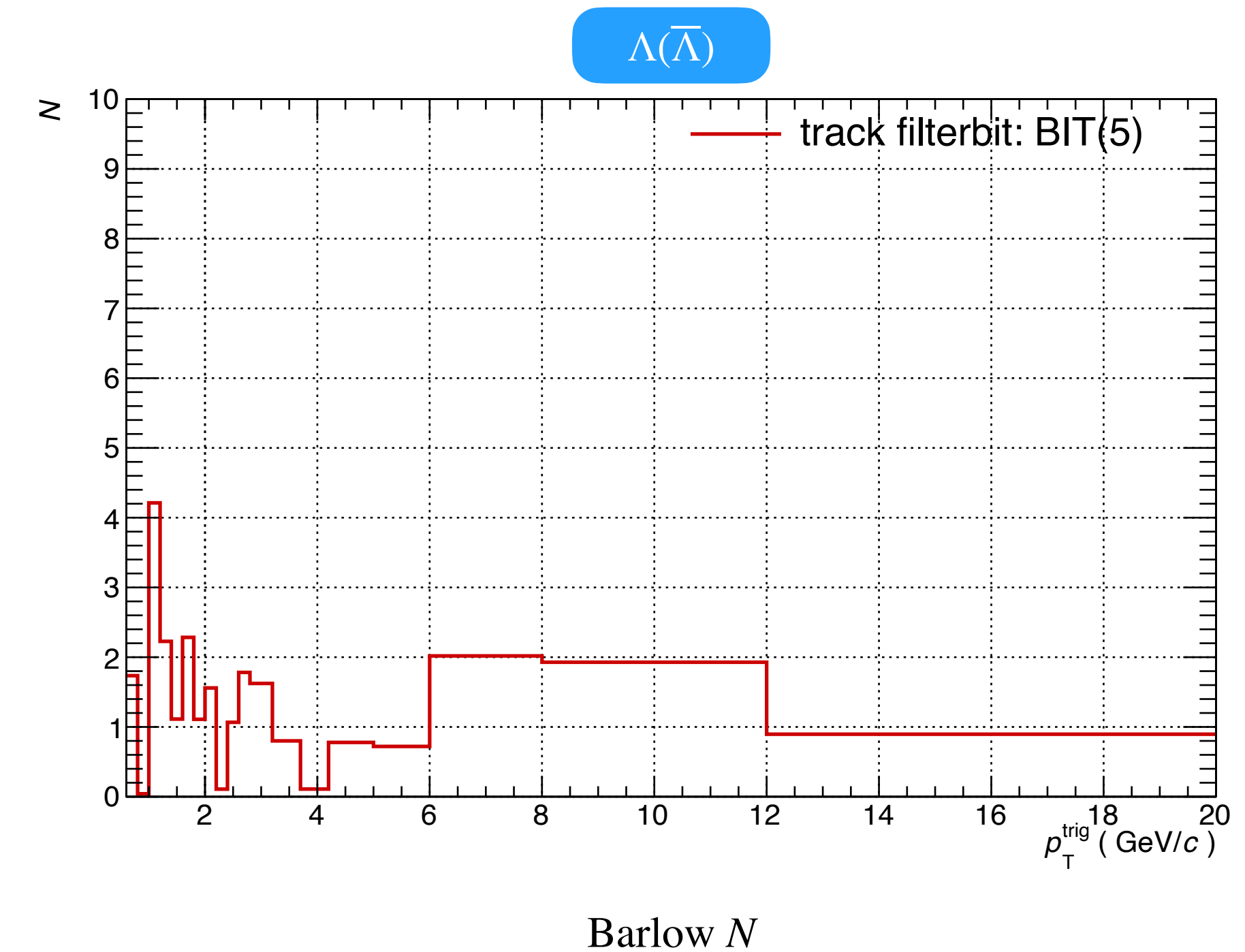
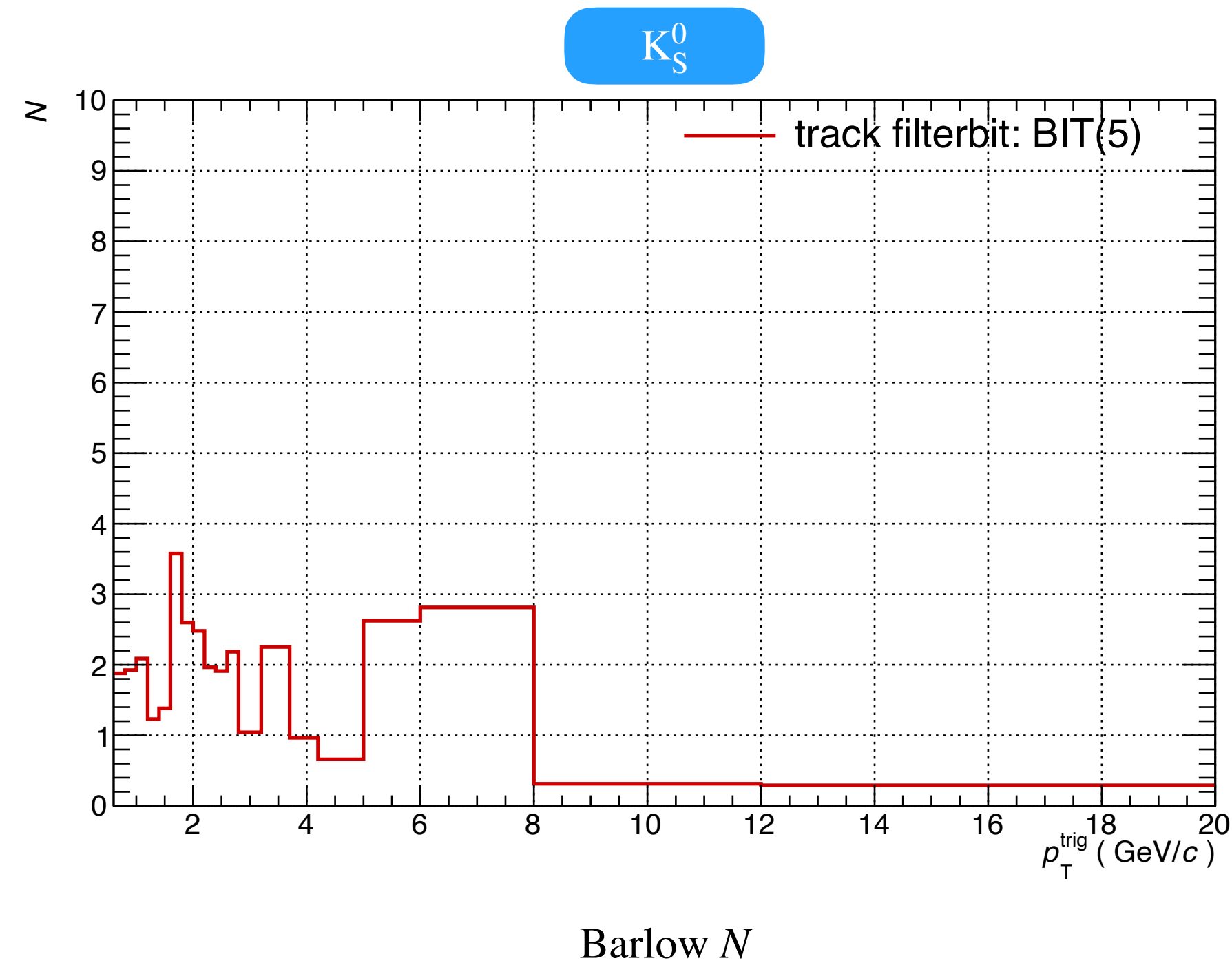
- For this source, the systematic uncertainty is assigned as the RMS (standard deviation) of the $\langle z \rangle$ results for each $p_{T, \text{trig}}$ intervals as shown in the right plot

- Mix correlation function normalization:
 1. Use the average with $\Delta\eta = 0$ (**default**)
 2. Use the value of $(\Delta\eta = 0, \Delta\varphi = 0)$



- For this source, the systematic uncertainty is assigned as the relative uncertainty

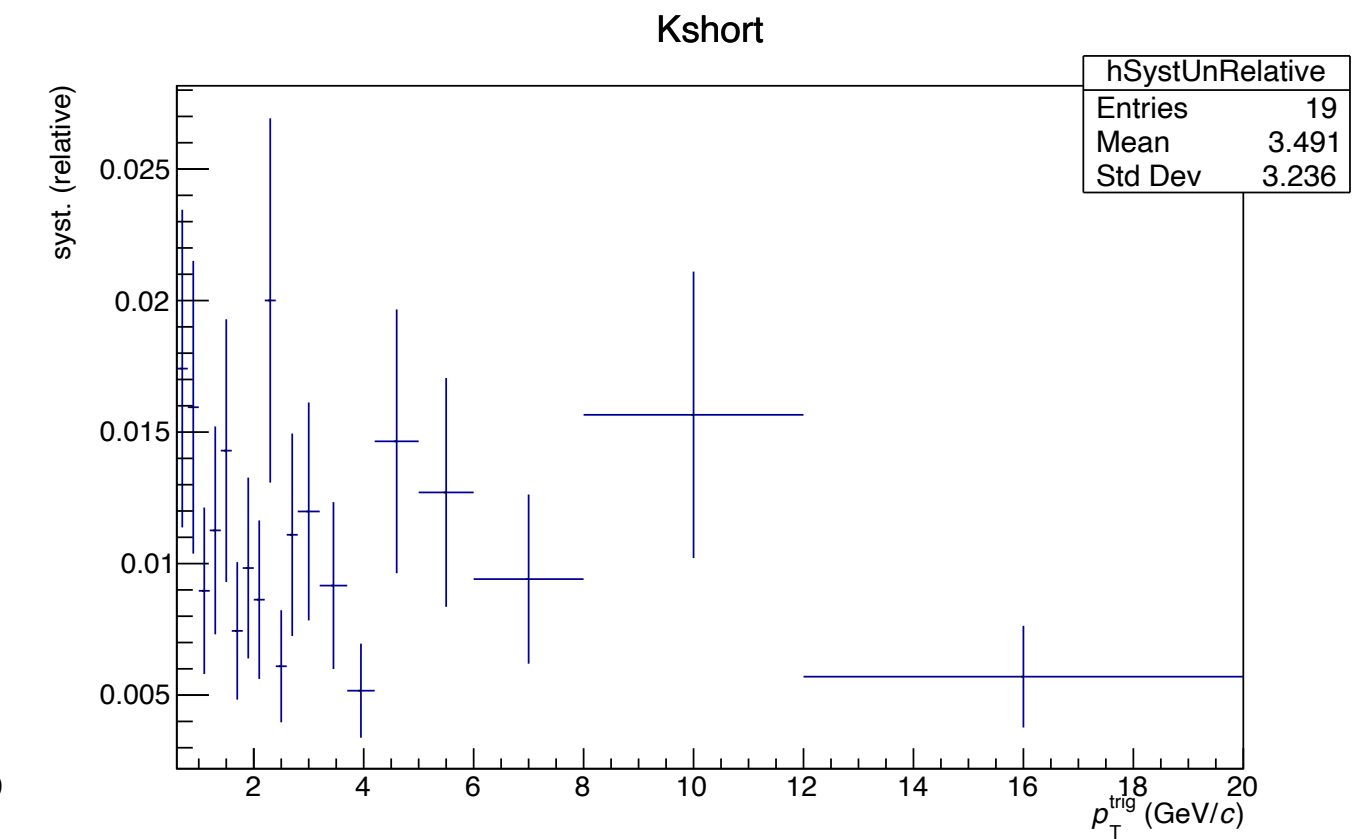
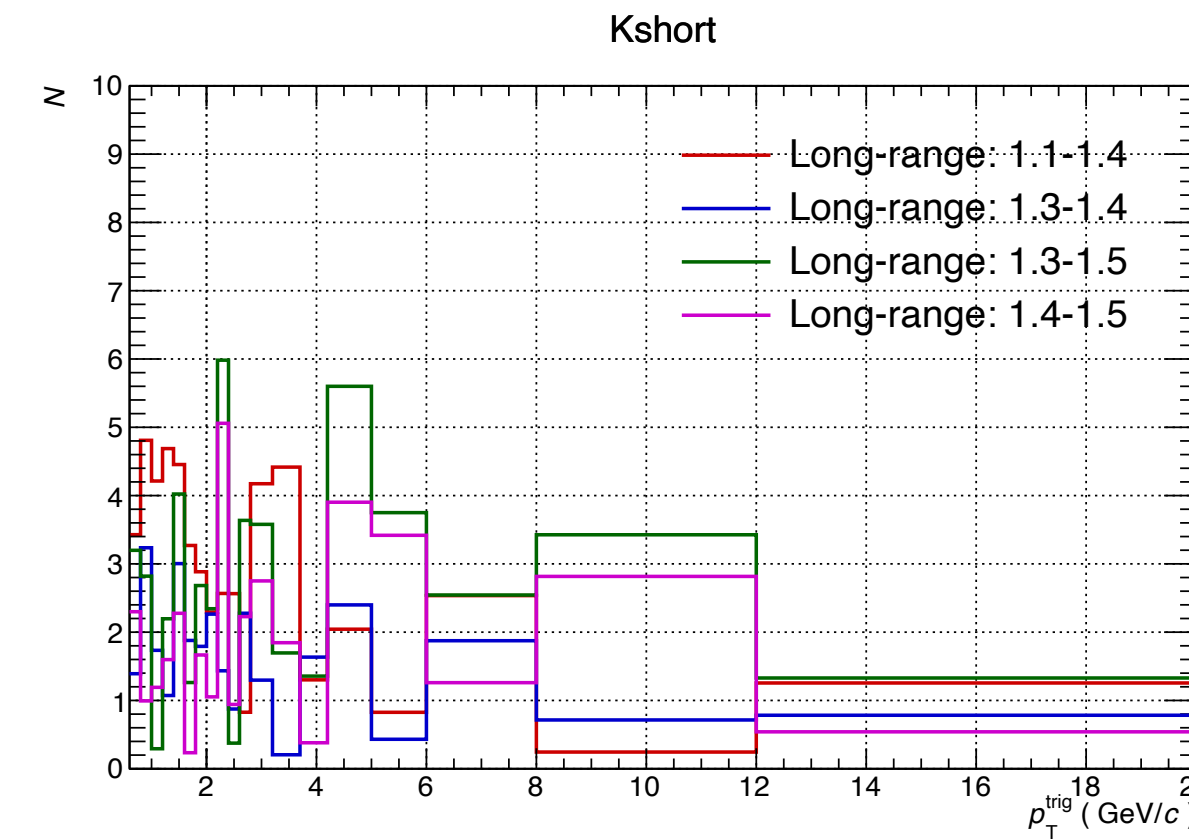
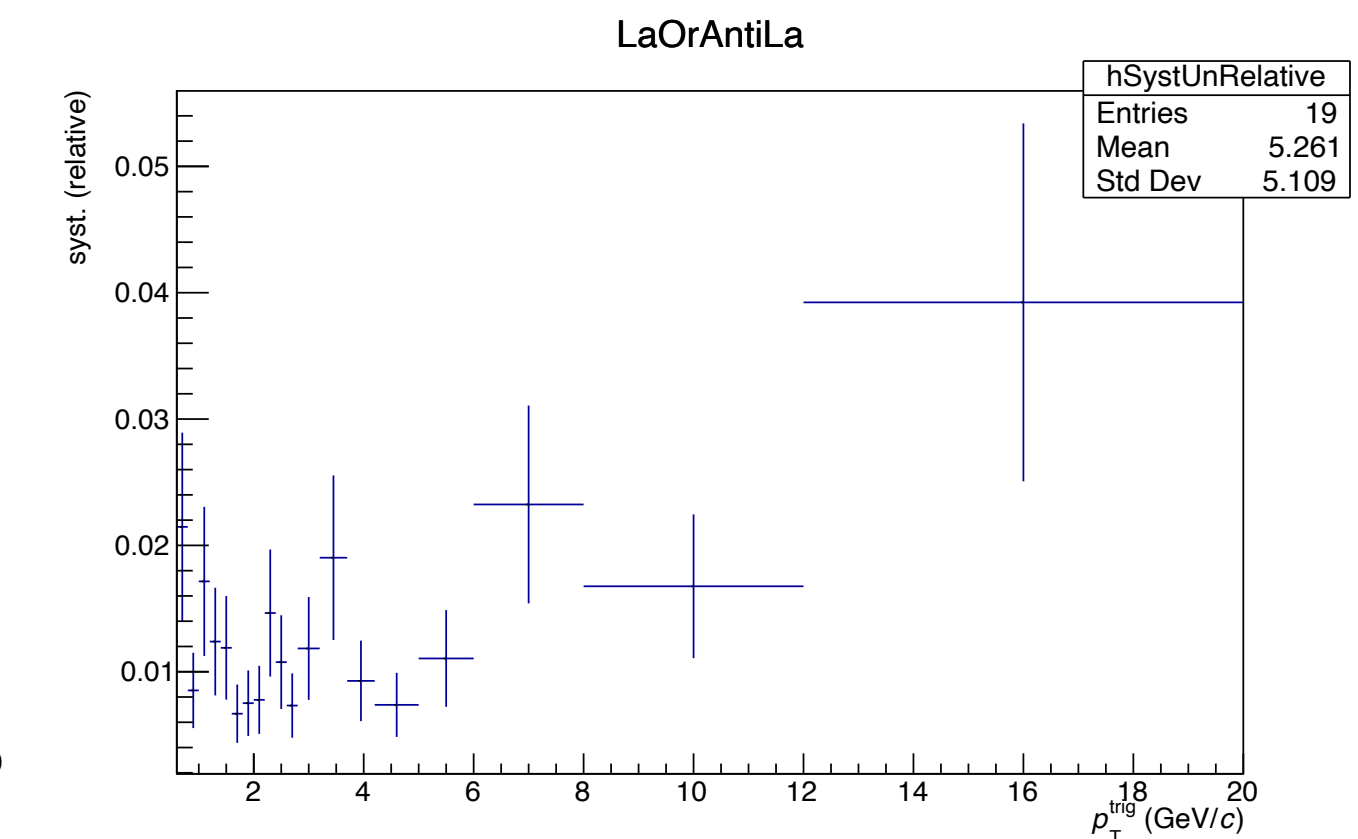
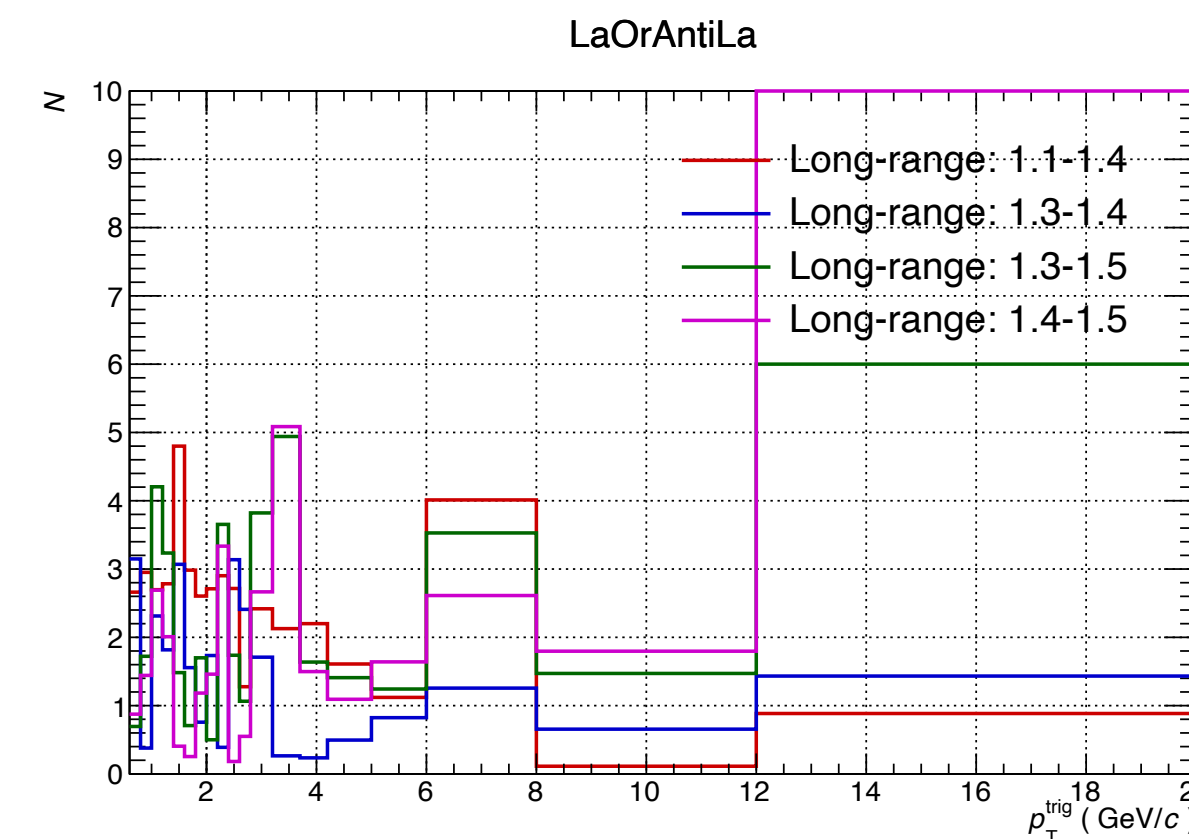
- Filterbit for associates:
 1. BIT(8) (**default**) (global hybrids with $|DCA_{xy}| < 2.4$ cm and $|DCA_z| < 3.2$ cm)
 2. BIT(5) (tracks with standard cuts with tight DCA cut, $|DCA_z| < 2$ cm)



- For this source, the systematic uncertainty is assigned as the relative uncertainty

- Definition of jet and out-of-jet regions:

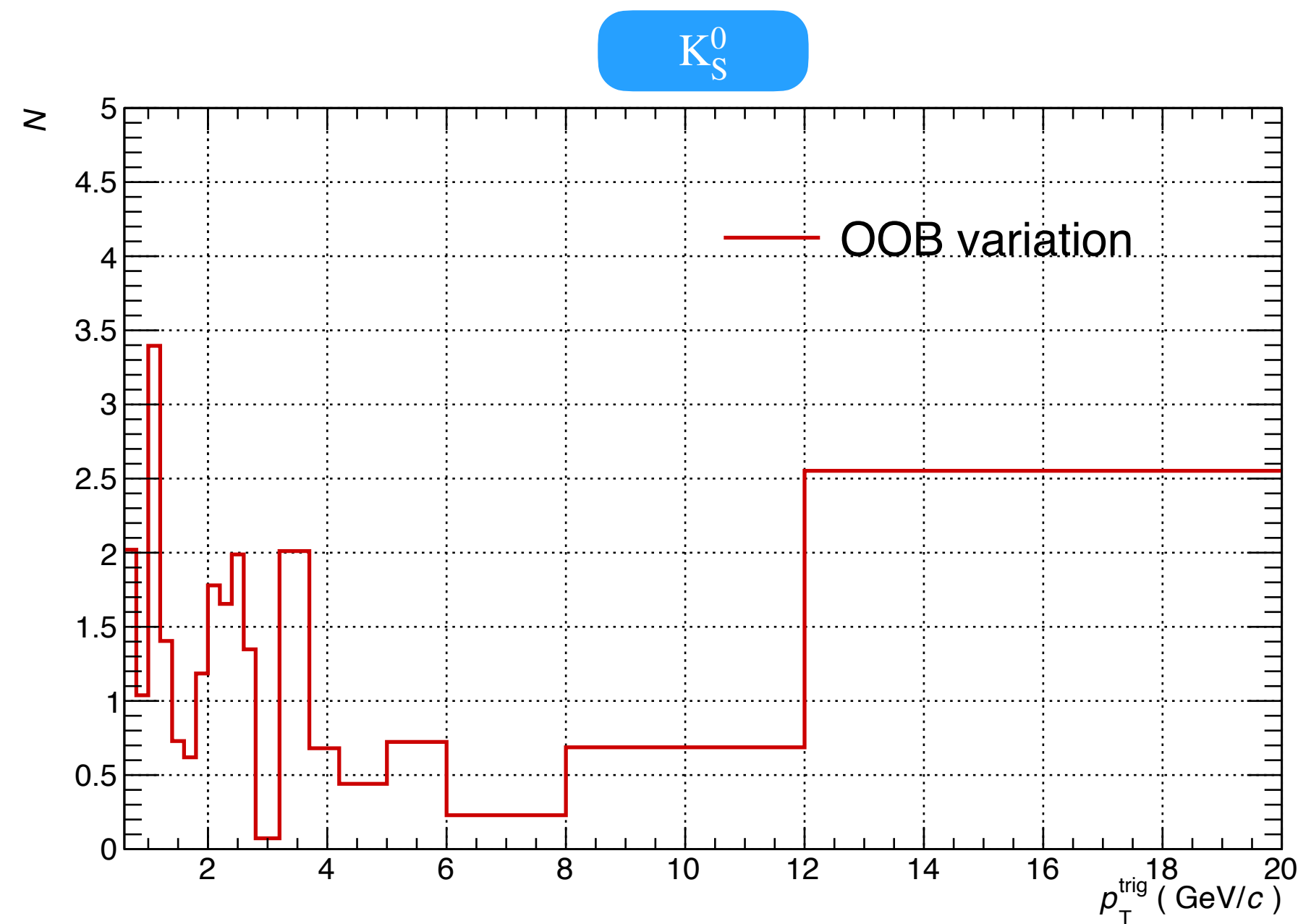
	jet region (short range)	out-of-jet region (long range)
1(default)	$ \Delta\eta < 1.2$	$1.2 < \Delta\eta < 1.4$
2	$ \Delta\eta < 1.1$	$1.1 < \Delta\eta < 1.4$
3	$ \Delta\eta < 1.3$	$1.3 < \Delta\eta < 1.4$
4	$ \Delta\eta < 1.3$	$1.3 < \Delta\eta < 1.5$
5	$ \Delta\eta < 1.4$	$1.4 < \Delta\eta < 1.5$

 K_S^0

 $\Lambda(\bar{\Lambda})$

Barlow N

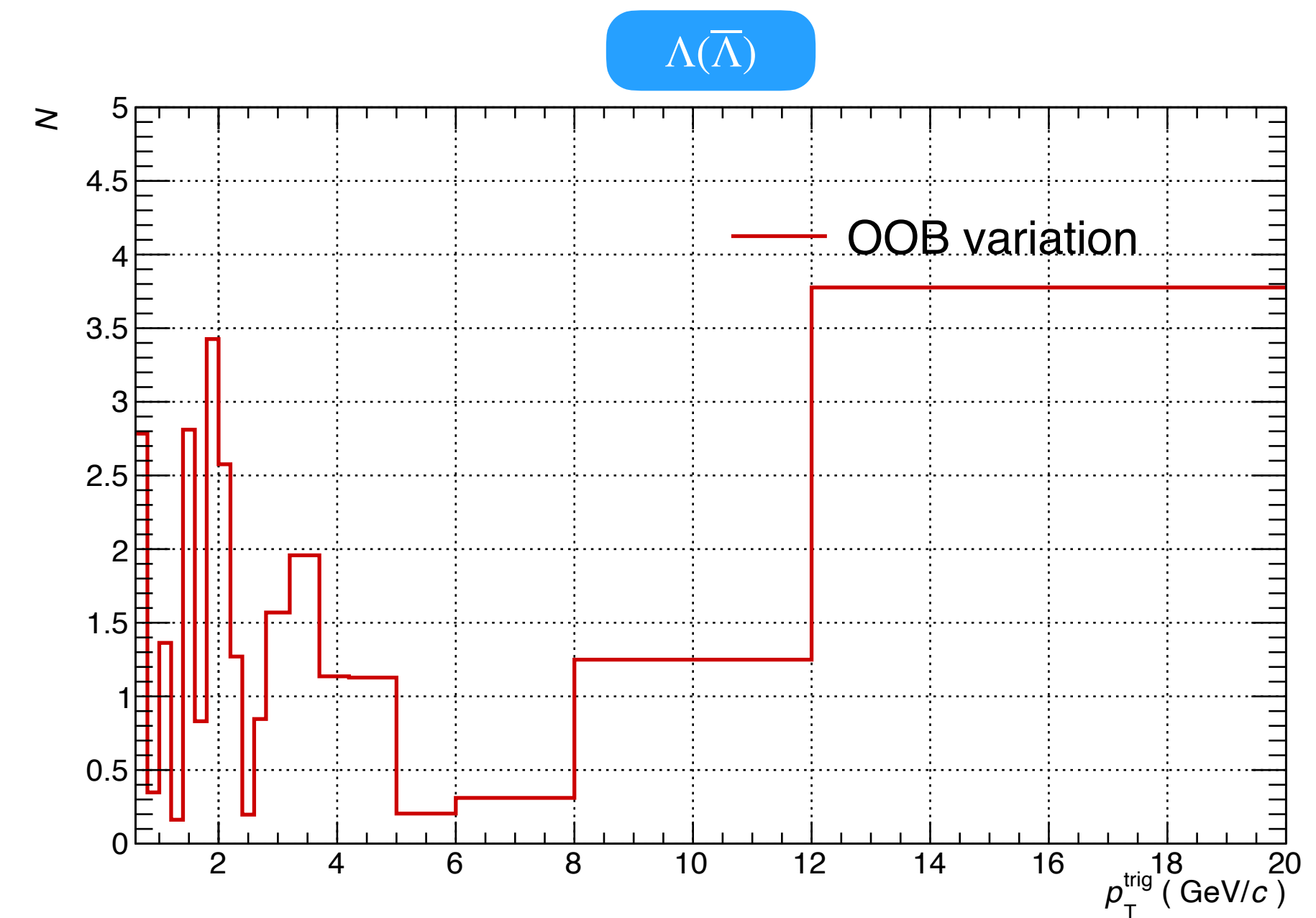
RMS

- For this source, the systematic uncertainty is assigned as the RMS (standard deviation) of the $\langle z \rangle$ results for each $p_{T, \text{trig}}$ intervals as shown in the right plot

- OOB pileup cut for the V^0 :
 1. (At least) one of V^0 's decay tracks should have ITSrefit flag (**default**)
 2. (At least) one of V^0 's decay tracks should have ITSrefit flag and its bunch-crossing ID in TOF connected to this track is 0



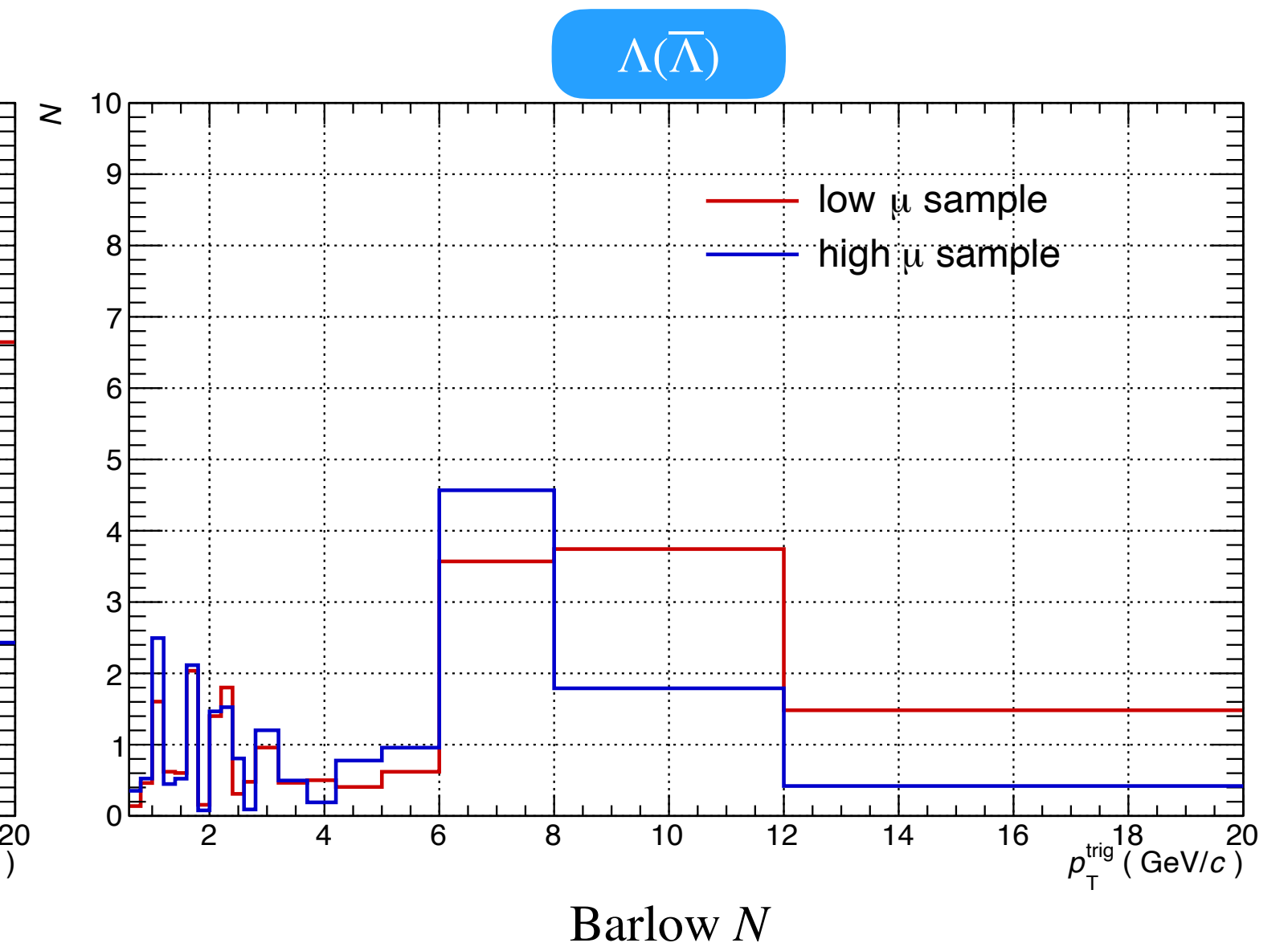
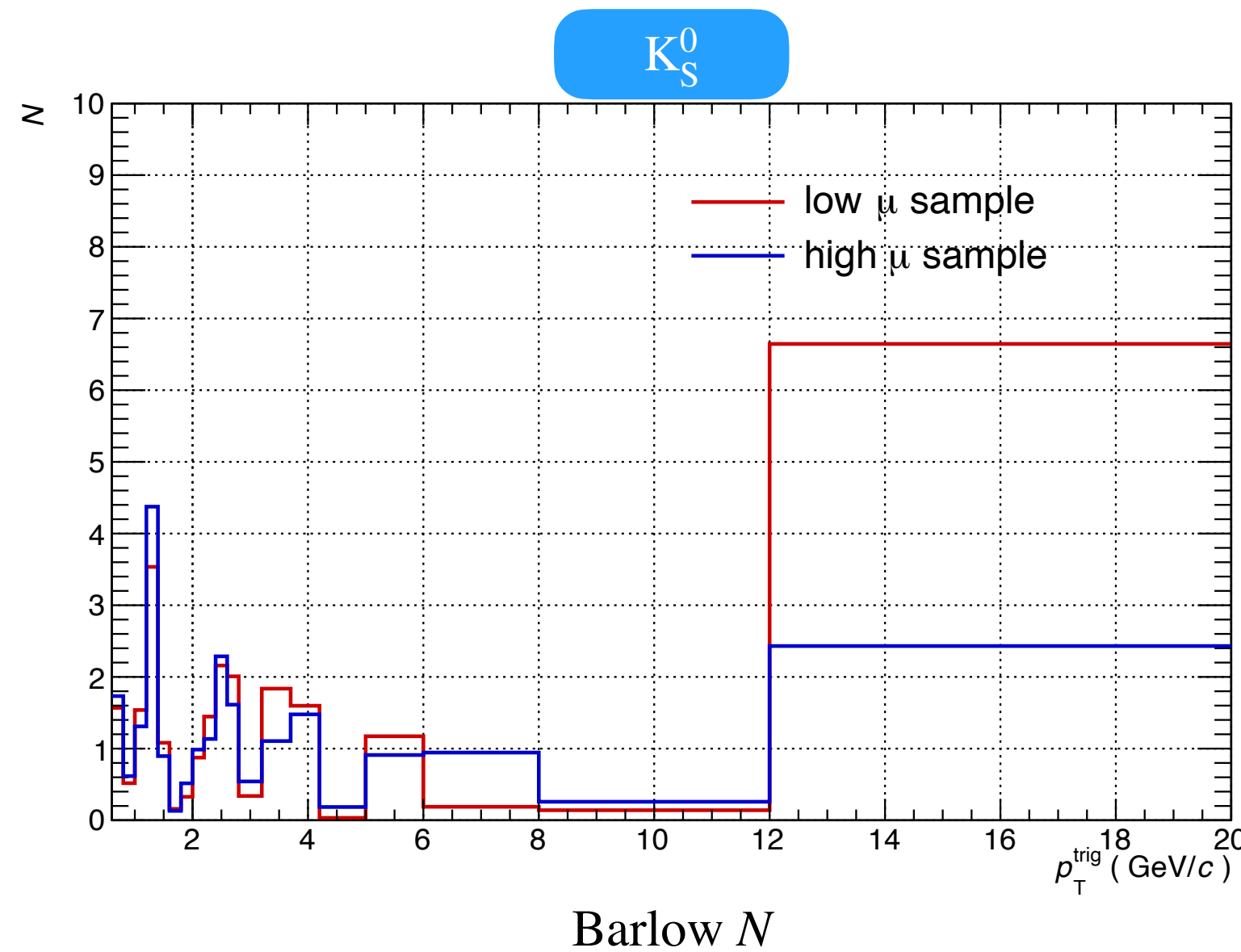
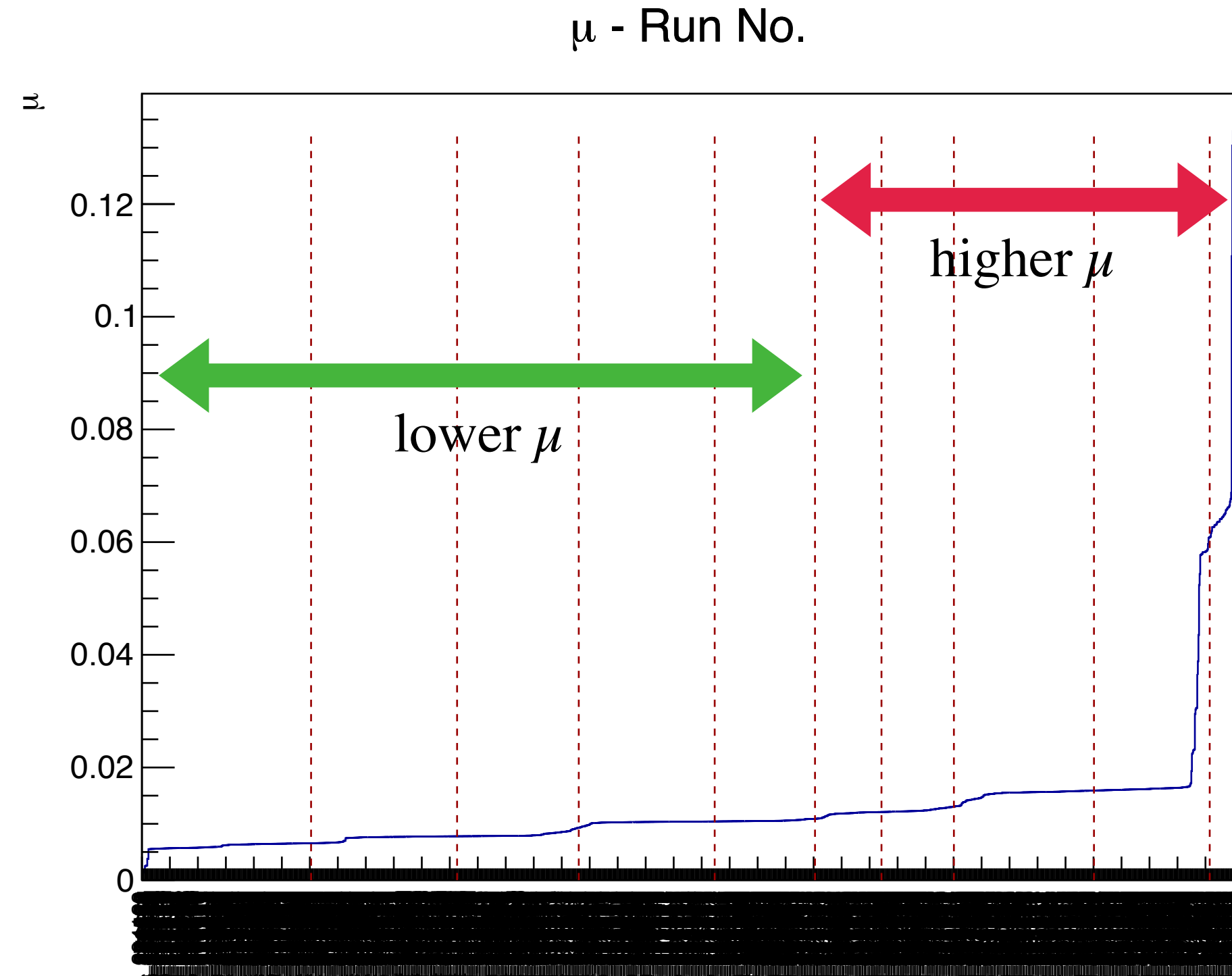
Barlow N



Barlow N

- For this source, the systematic uncertainty is assigned as the relative uncertainty

- The full sample is split to two parts with equal # of selected events, one consists of lower μ value and the other one consists of higher μ value

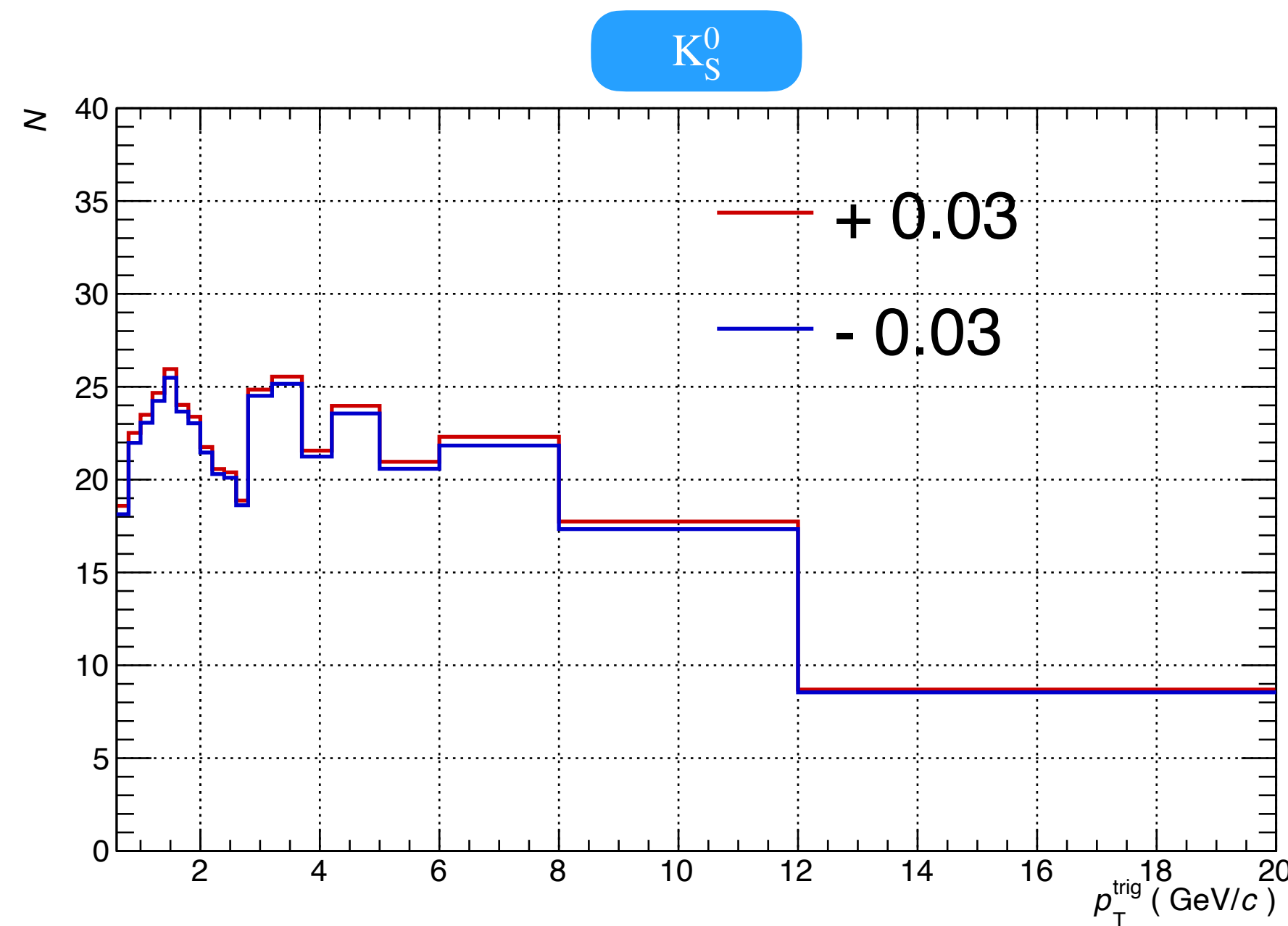


- For this source, the systematic uncertainty is assigned as the larger relative uncertainty

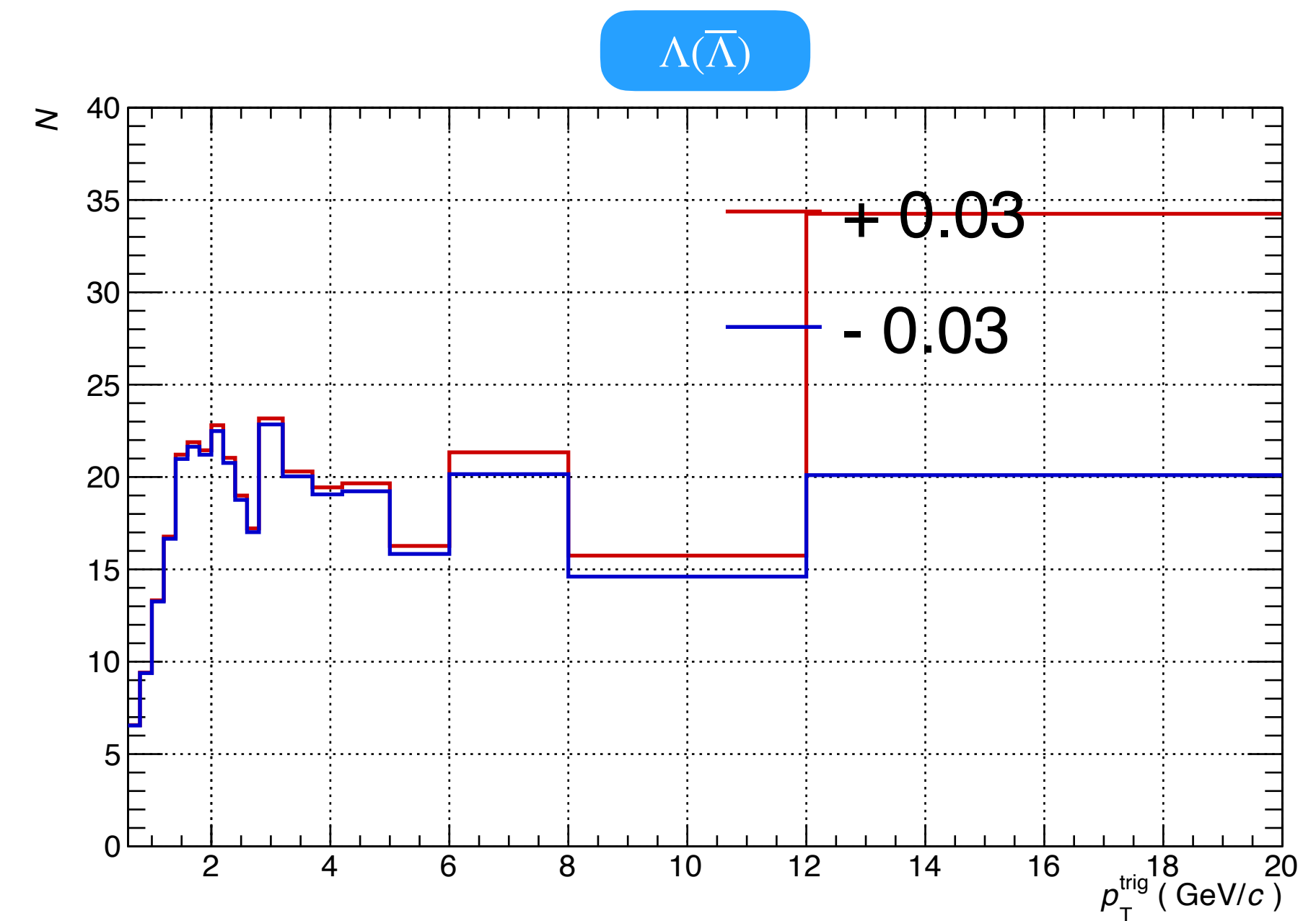
- Material budget affects on tracking efficiency and then propagates to the sum of $p_{T, \text{assoc}}$

1. Shift up/down the sum of $p_{T, \text{assoc}}$ by 3%

$$z = \frac{p_{T, \text{trig}}}{p_{T, \text{trig}} + \sum p_{T, \text{assoc}}}$$



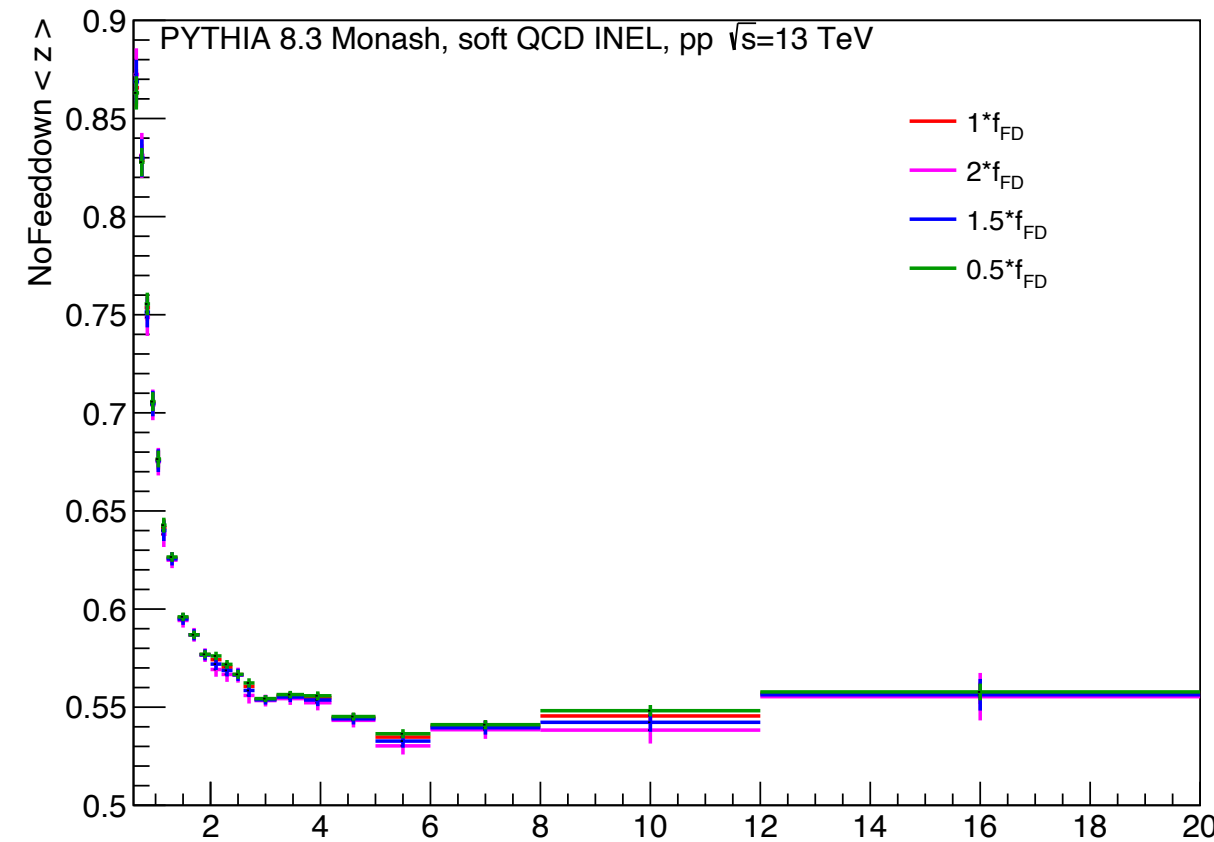
Barlow N



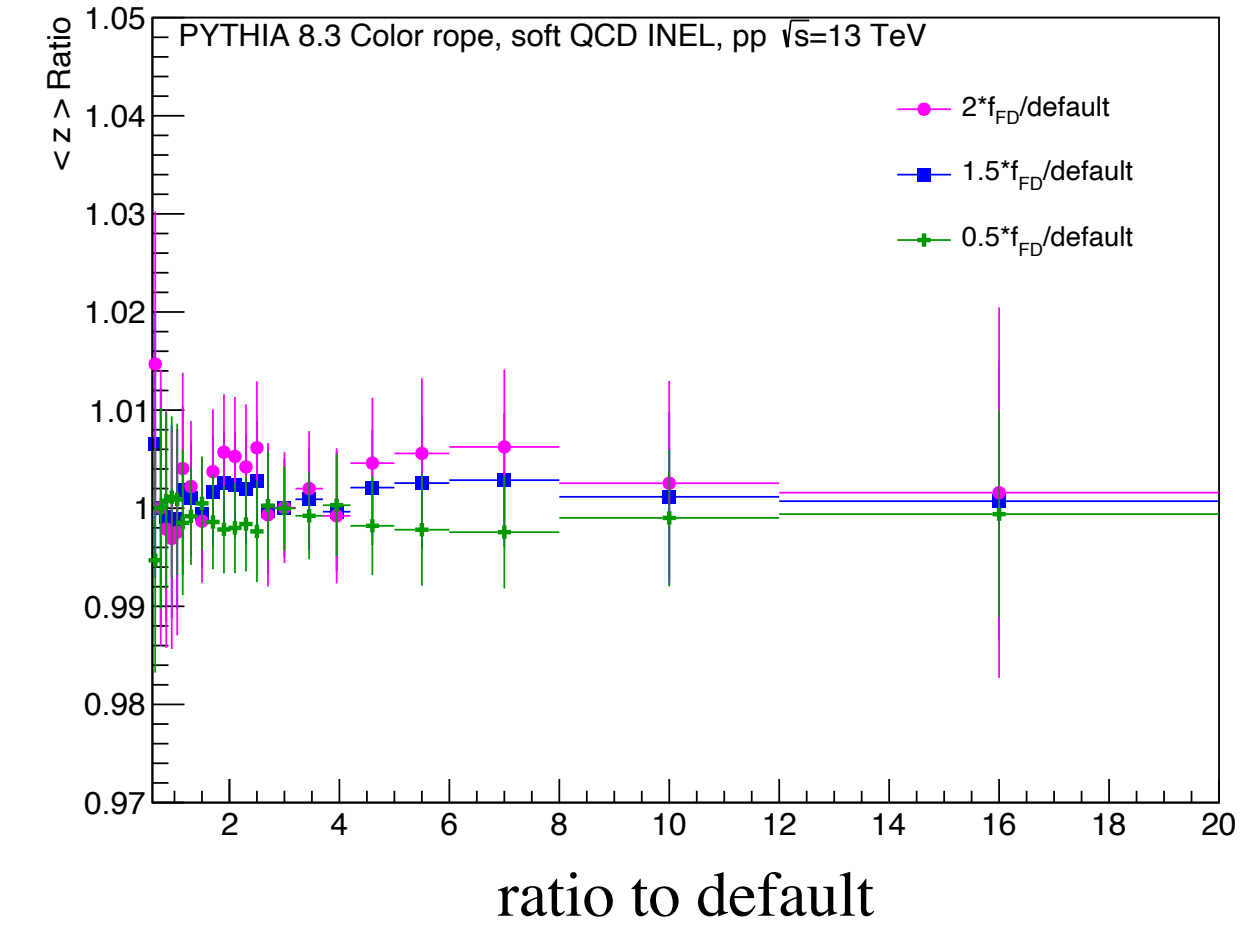
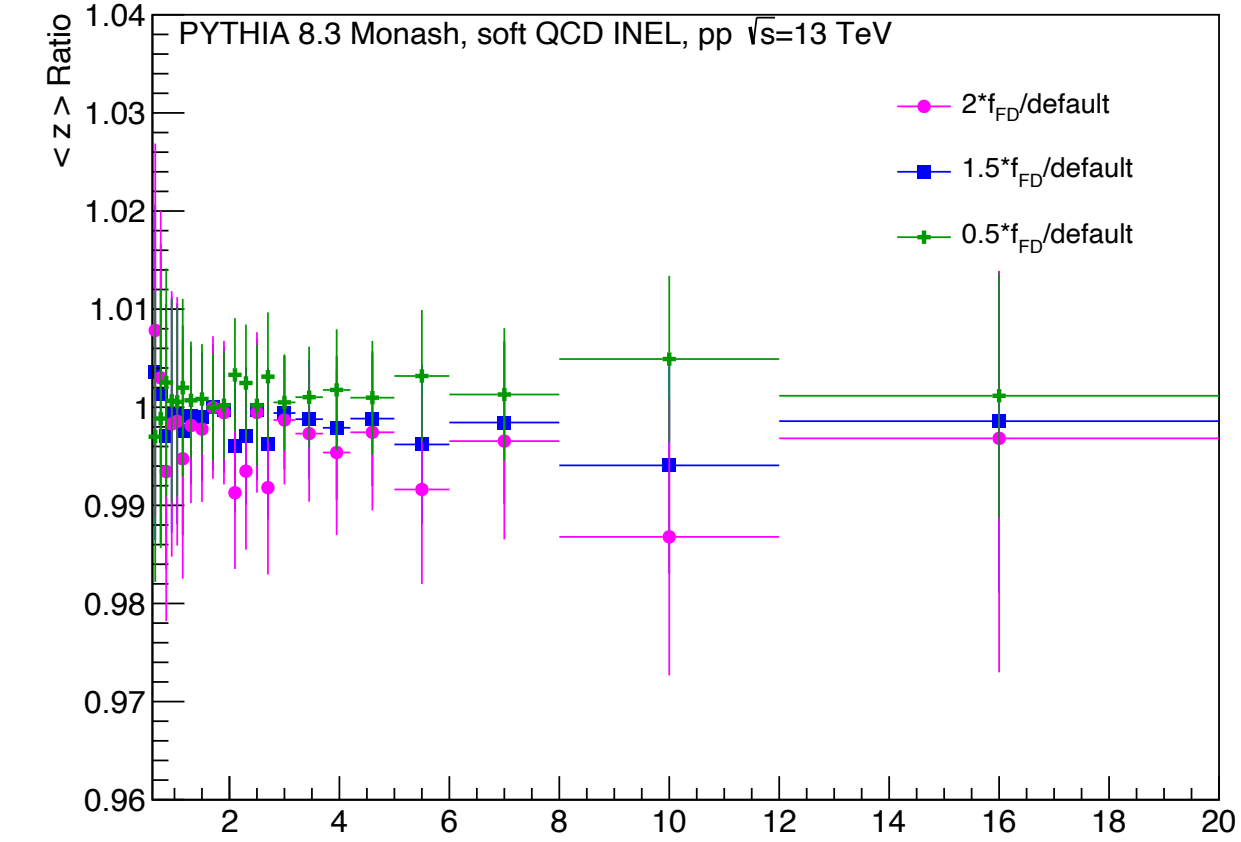
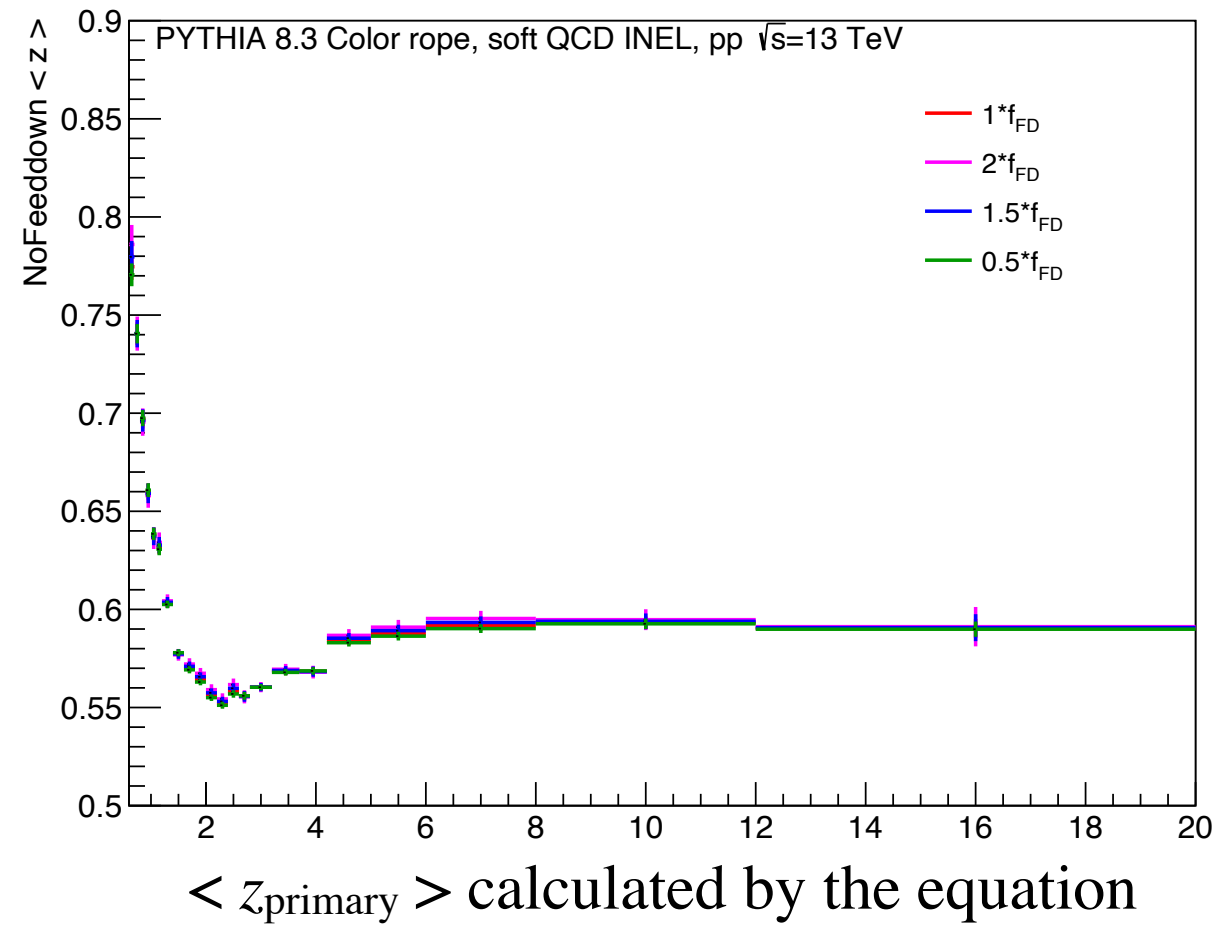
Barlow N

- For this source
 - K_S^0 : the systematic uncertainty is assigned as the larger relative uncertainty
 - $\Lambda(\bar{\Lambda})$: the systematic uncertainty is assigned as the larger relative uncertainty

Monash

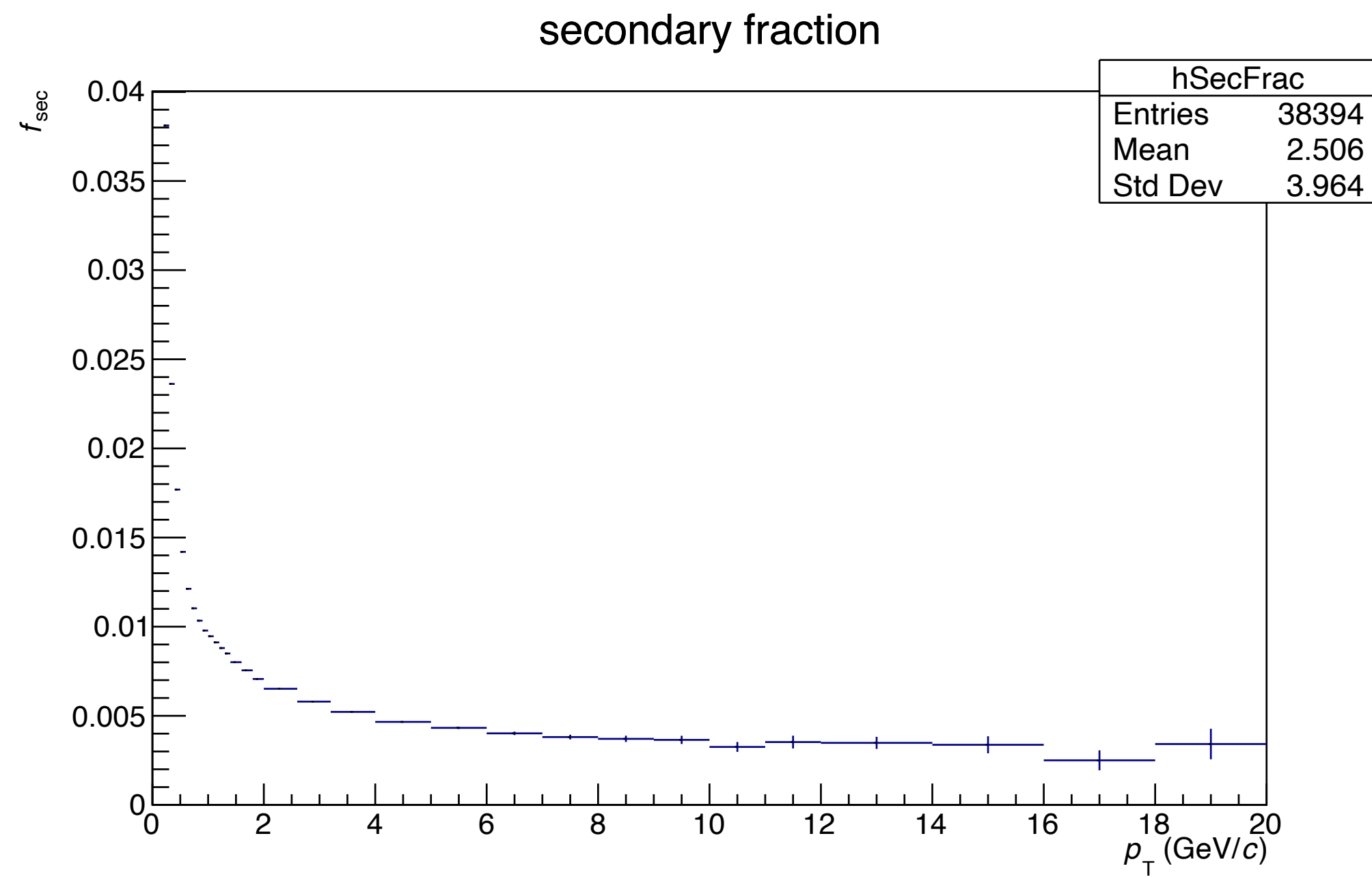


Color rope



$$\langle z_{\text{primary}} \rangle = \frac{\langle z_{\text{all}} \rangle \times N_{\text{all}} - \langle z_{\text{feed-down}} \rangle \times N_{\text{feed-down}}}{N_{\text{all}} - N_{\text{feed-down}}} = \frac{\langle z_{\text{all}} \rangle - \langle z_{\text{feed-down}} \rangle \times f_{\text{feed-down}}}{1 - f_{\text{feed-down}}}$$

- The strategy for this source is to investigate how $\langle z \rangle$ changes with the feed down fraction
- Assign a conservative 1.5% uncertainty uncorrelated with p_T for feed down



- The secondary fraction is smaller than 1% when $p_T > 1 \text{ GeV}/c$, and between 1% - 4% when $0.2 < p_T < 1 \text{ GeV}/c$, with increasing p_T , the secondary fraction decreases steeply

$$f_{\text{sec}} = \frac{N_{\text{secondaries}}^{\text{passed}}}{N_{\text{total}}^{\text{passed}}}$$