

Mass mapping and cosmological inference with higher-order statistics

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ARGOS-TITAN-TOSCA workshop, July 8, 2025

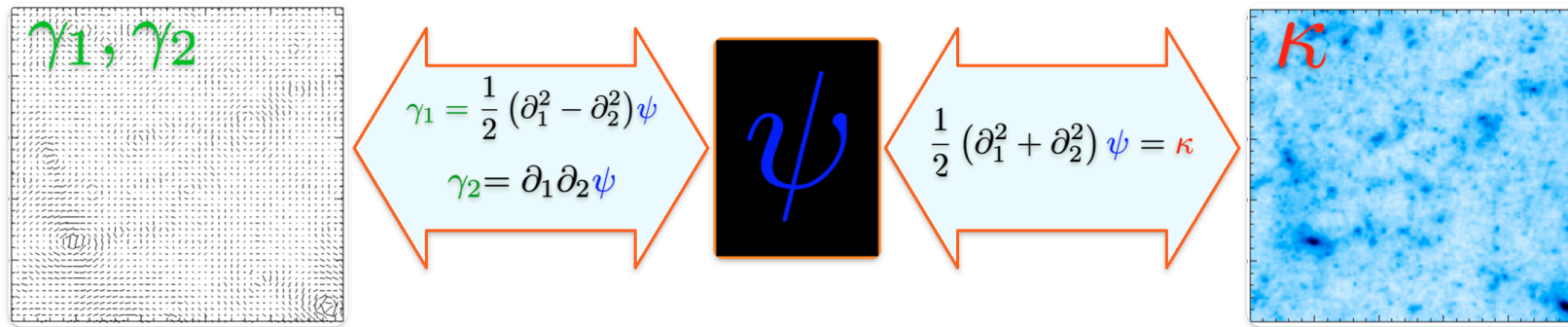


FORTH



CosmoStat

Weak Lensing - Relation between κ and γ



- From **convergence** to **shear**: $\gamma_i = \hat{P}_i \kappa$
- From **shear** to **convergence**: $\kappa = \hat{P}_1 \gamma_1 + \hat{P}_2 \gamma_2$

$$\hat{P}_1(k) = \frac{k_1^2 - k_2^2}{k^2}, \quad \hat{P}_2(k) = \frac{2k_1 k_2}{k^2}$$

In practice...

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- Shear measurements are discrete, **noisy**, and **irregularly sampled**
- We actually measure the **reduced shear**
- Masks and integration over a subset of \mathbb{R}_2 lead to border errors \Rightarrow **missing data problem**
- Convergence is recoverable up to a constant \Rightarrow **mass-sheet degeneracy problem**

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Mass mapping is an **ill-posed inverse problem**

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Mass mapping is an **ill-posed inverse problem**



Different algorithms have been introduced, with **different reconstruction fidelities**, in terms of RMSE

Motivating this project:

- The various algorithms have **different RMSE** performance
- In cosmology we *don't care about RMSE* of mass maps, but only about the resulting **cosmological parameters**

⇒ This should be our final benchmark!

Motivating this project:

- The various algorithms have **different RMSE** performance
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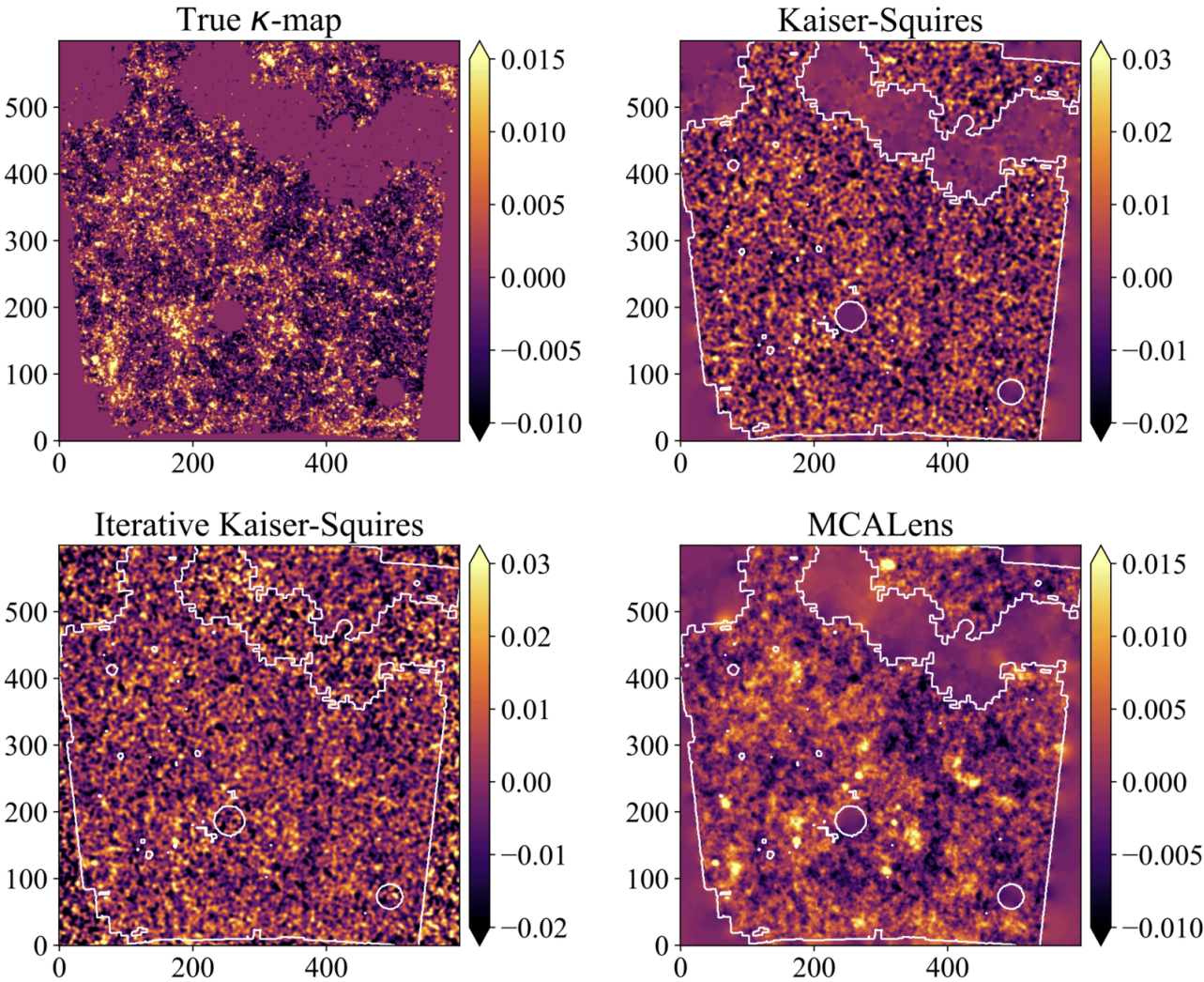
⇒ This should be our final benchmark!

So... **does the choice of the mass-mapping algorithm have an impact on the final inferred cosmological parameters?**

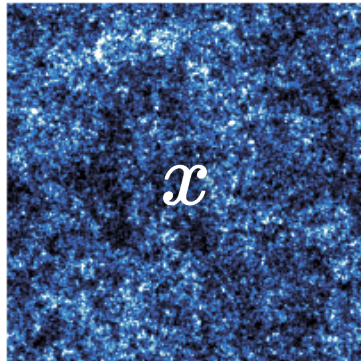
Or as long as you apply the same method to both observations and simulations it won't matter?

cosmoSLICS mass maps

Method	RMSE ↓
KS	1.1×10^{-2}
iKS	1.1×10^{-2}
MCALens	9.8×10^{-3}



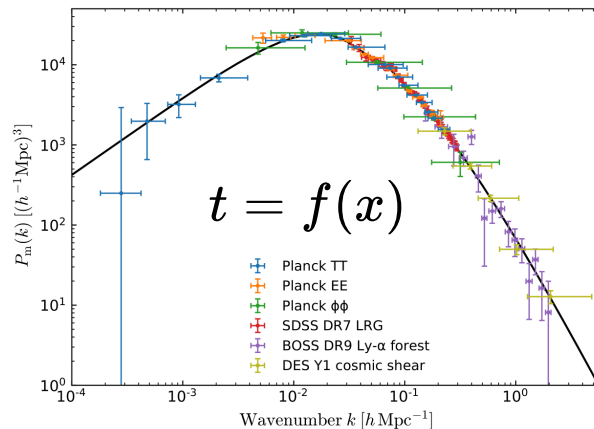
How to constrain cosmological parameters?



For which we have/assume an analytical **likelihood** function

$$p(t = t_0 \mid \theta)$$

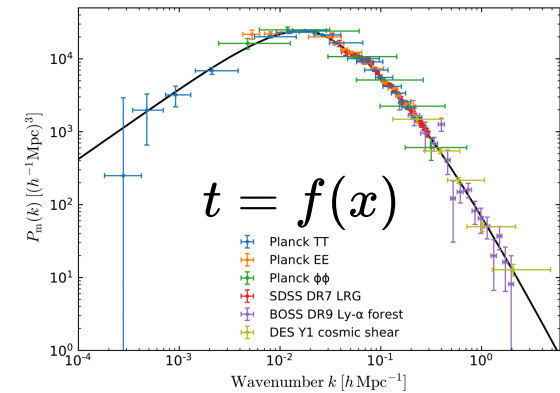
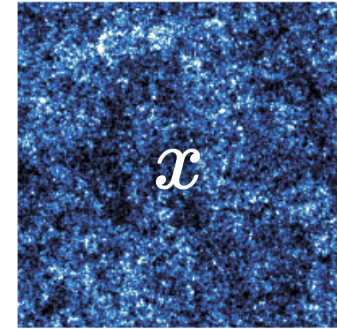
Likelihood \rightarrow connects our compressed observations to the cosmological parameters



$$\underbrace{p(\theta \mid t = t_0)}_{\text{posterior}} \propto \underbrace{p(t = t_0 \mid \theta)}_{\text{likelihood}} \underbrace{p(\theta)}_{\text{prior}}$$

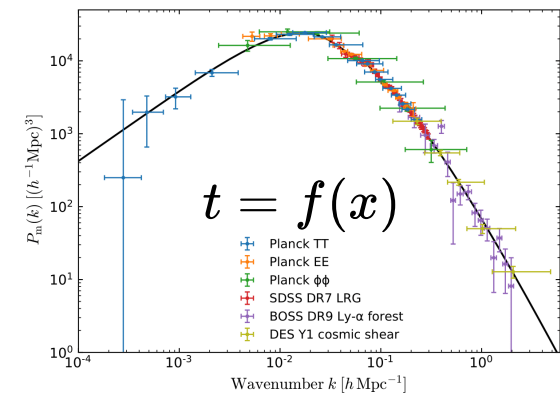
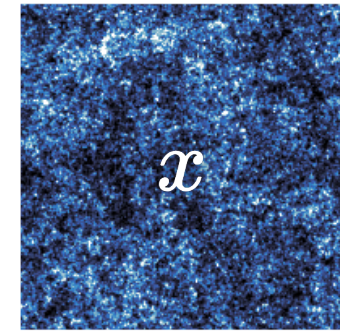
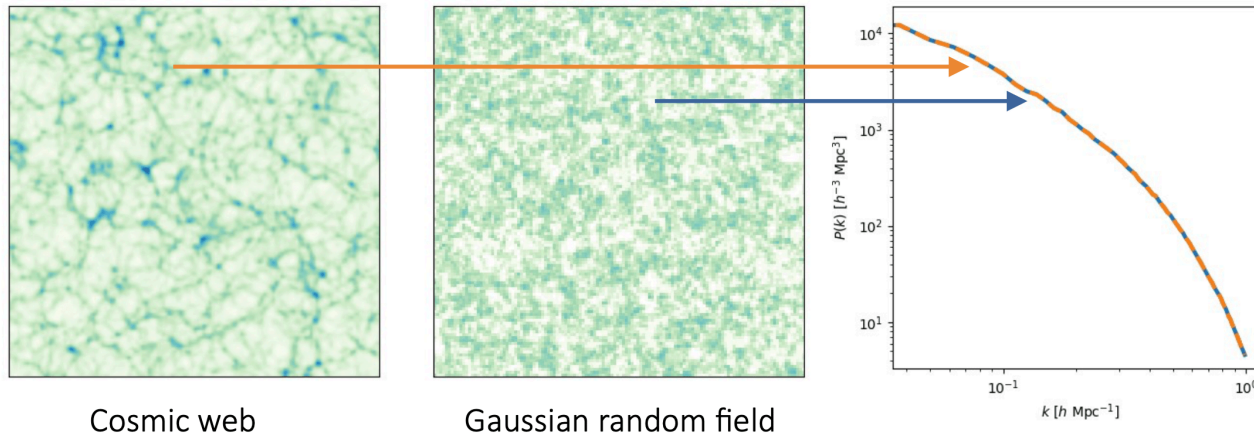
2pt vs higher-order statistics

The traditional way of constraining cosmological parameters **misses the non-Gaussian information** in the field.



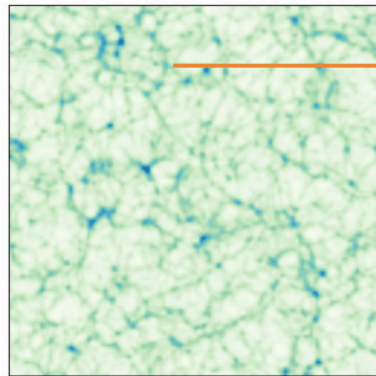
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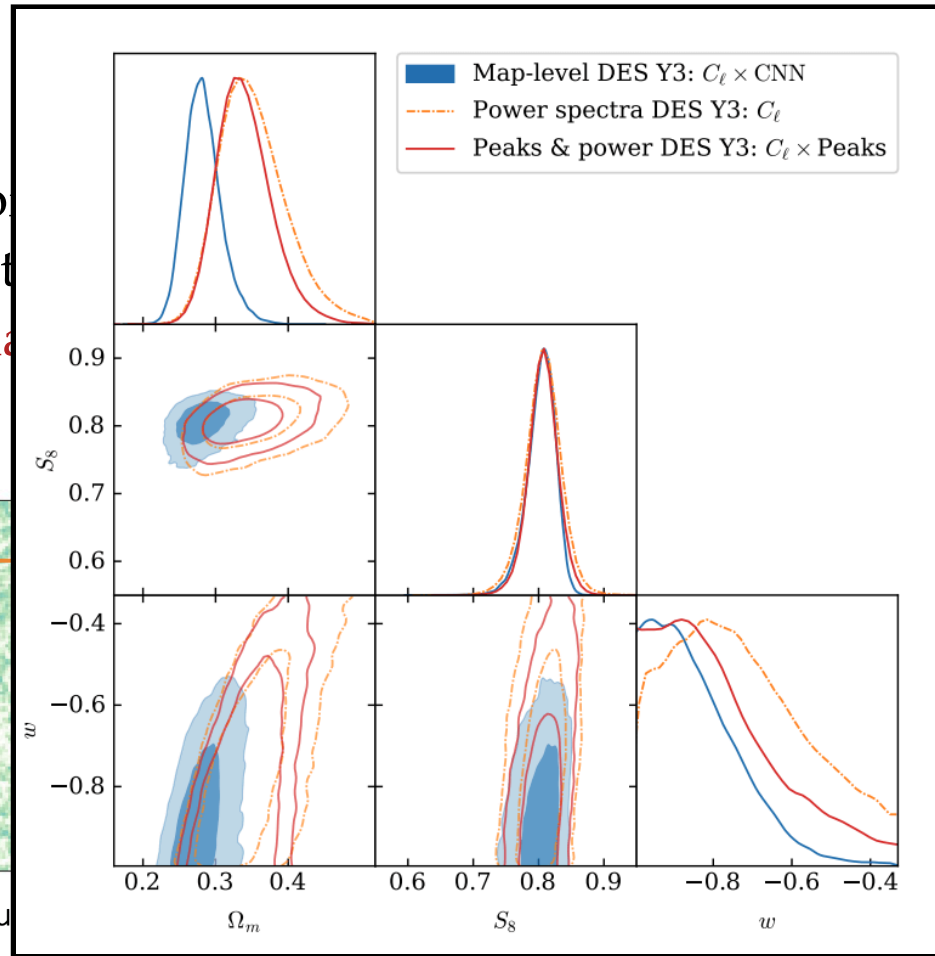
The traditional way of
cosmological parameter
non-Gaussian information



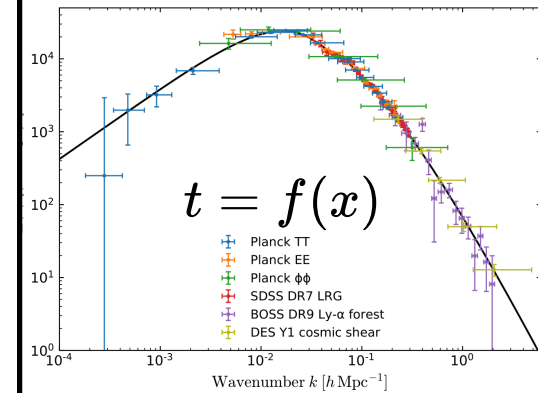
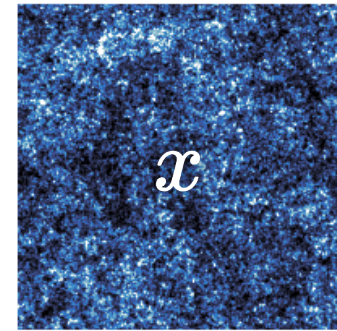
Cosmic web



Gaussian

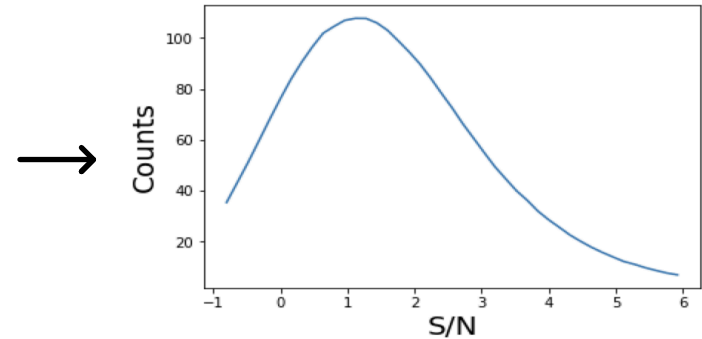
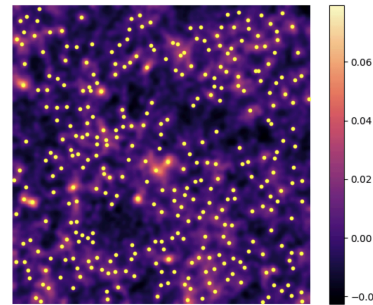


DES Y3 Results



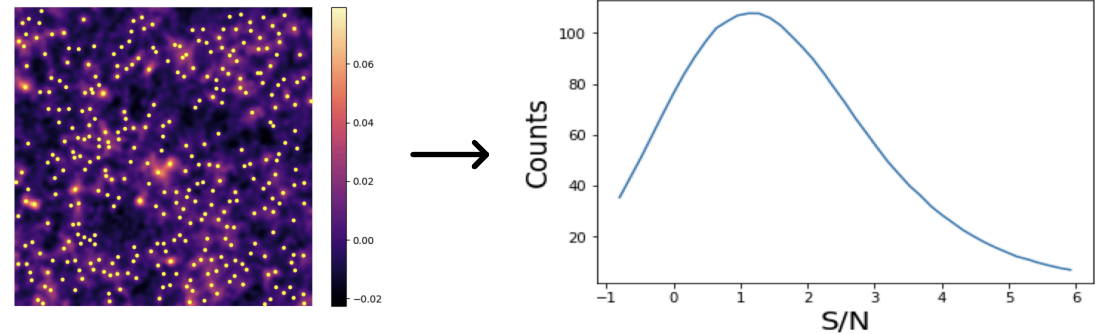
Higher Order Statistics: **Peak Counts**

- **Peaks:** local maxima of the SNR field
- Peaks trace regions where the value of κ is **high** → they are associated to **massive structures**

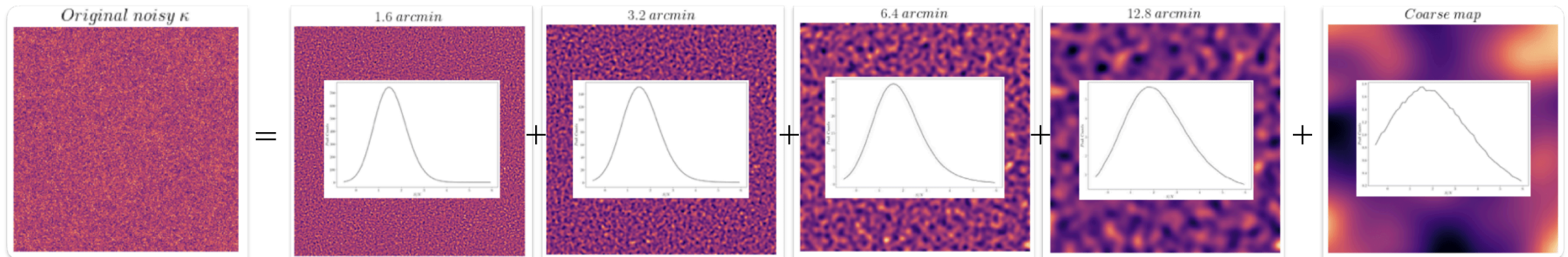


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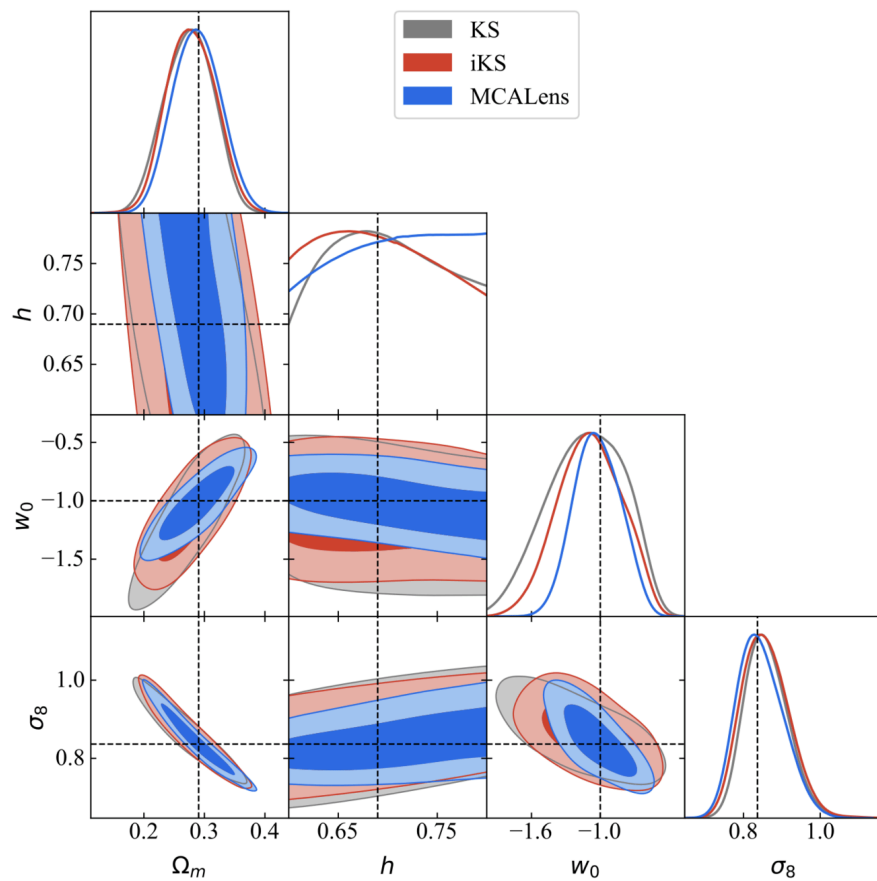
Multi-scale (wavelet) peak counts



Results

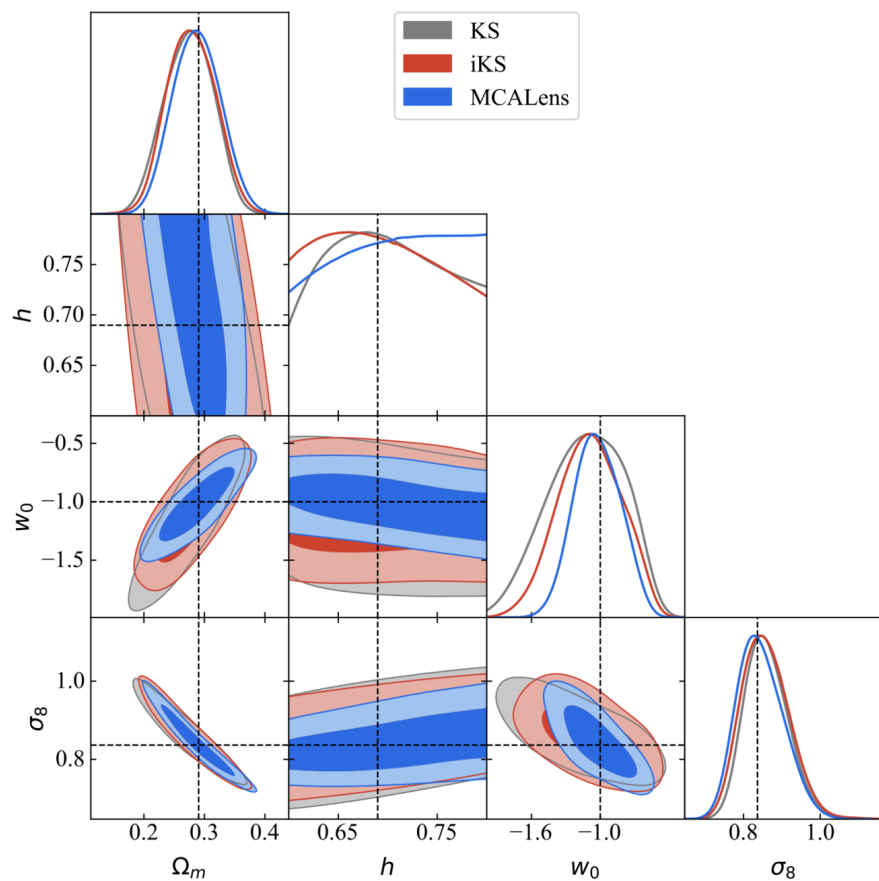
Results

Mono-scale peaks

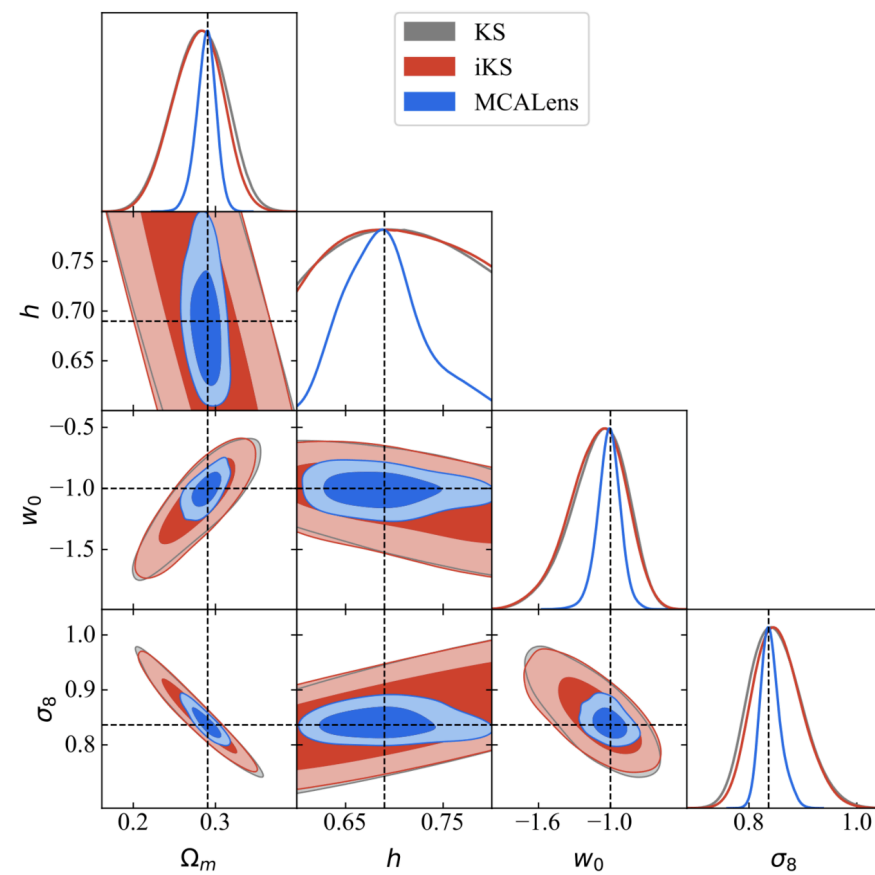


Results

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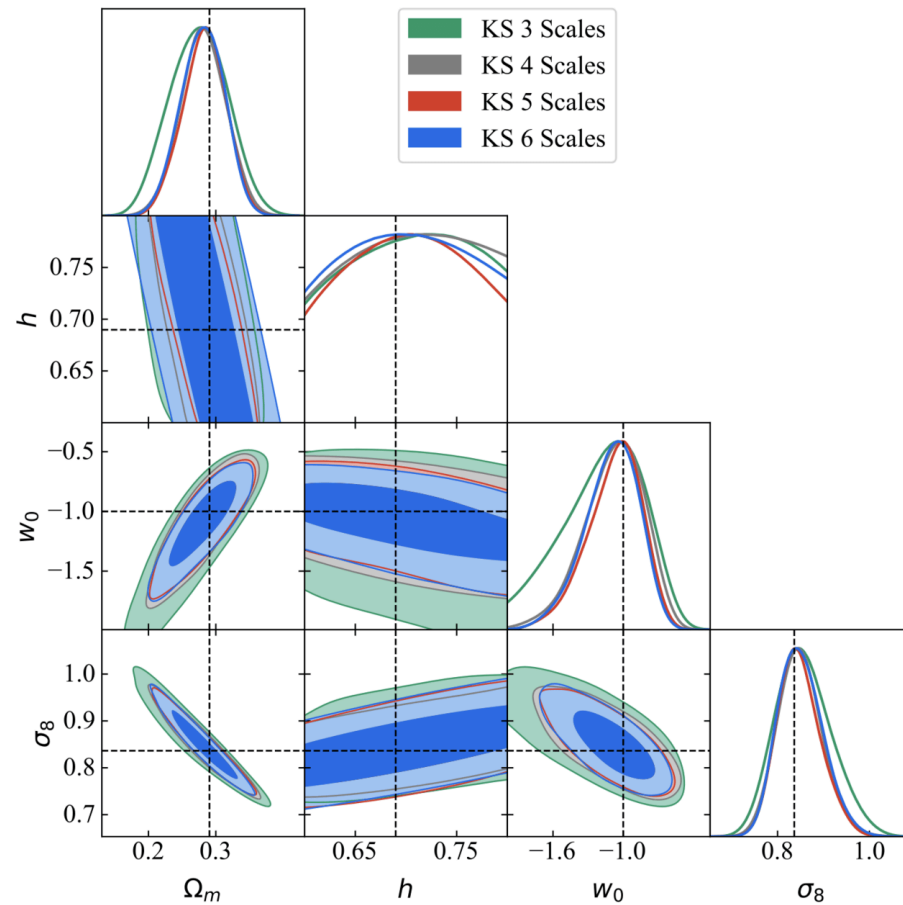
Multi-scale peaks



Where does this improvement come from?

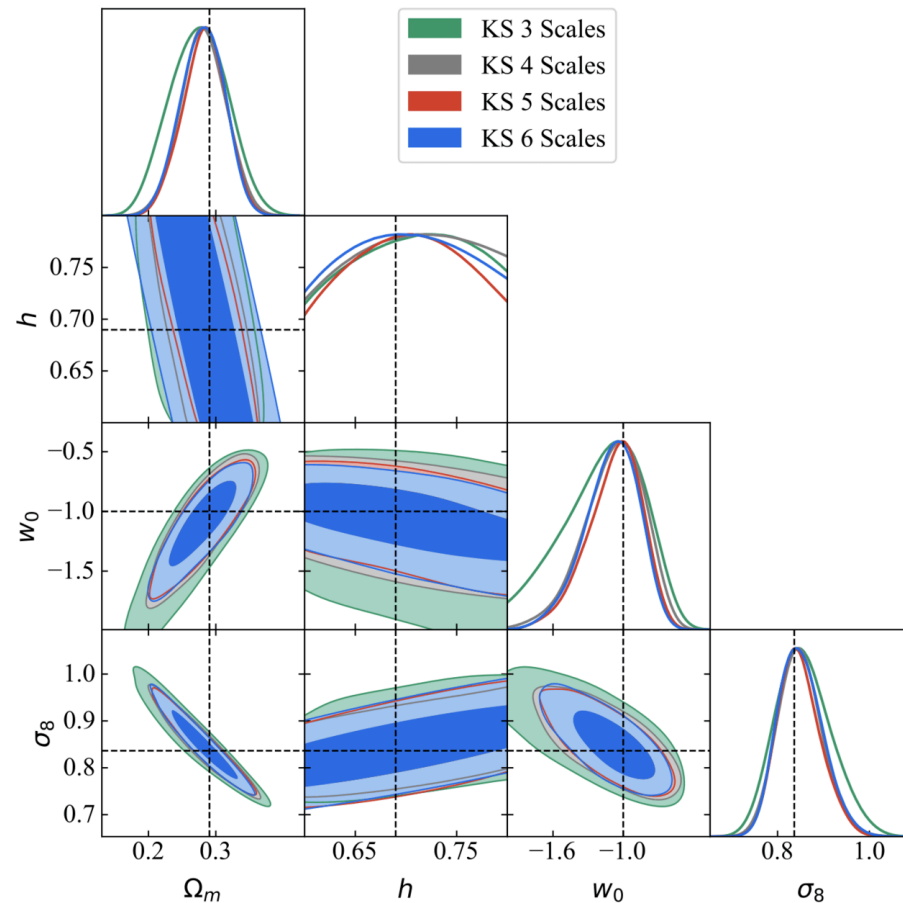
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Kaiser-Squires

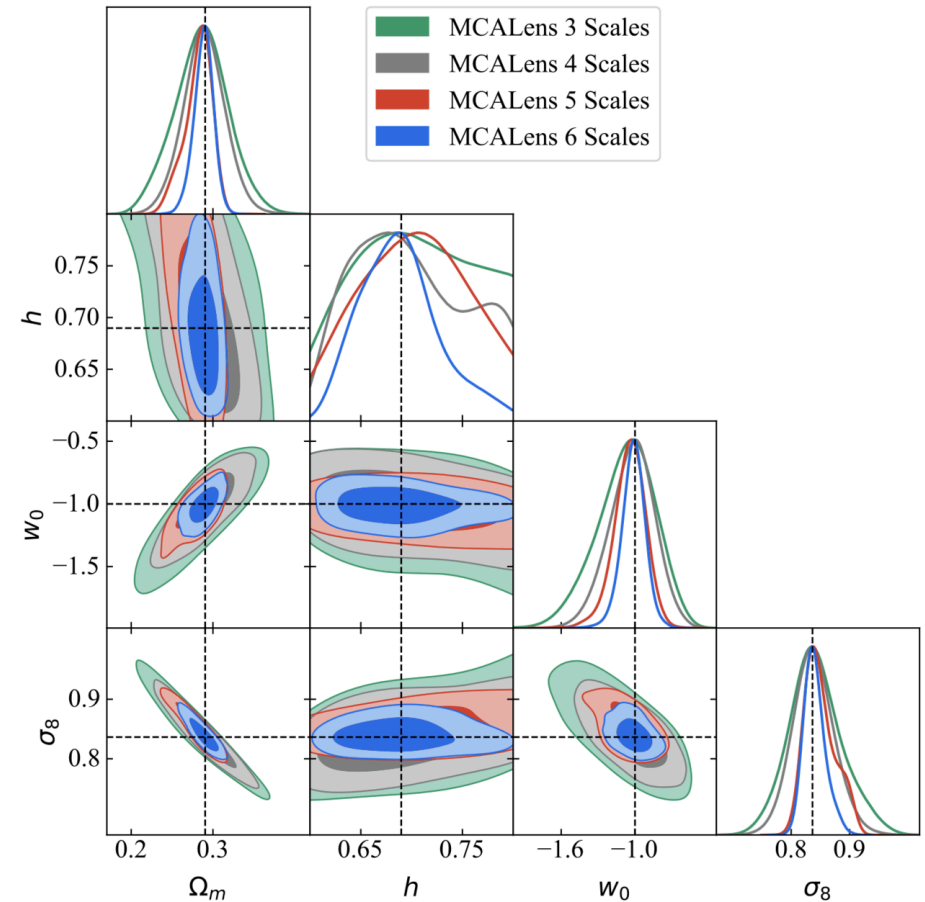


Where does this improvement come from?

Kaiser-Squires



MCALens



Baryonic effects

- Effects that stem from astrophysical processes involving **ordinary matter** (gas cooling, star formation, AGN feedback)
- They **modify the matter distribution** by redistributing gas and stars within halos.
- Suppress matter clustering on small scales
- Depend on the **cosmic baryon fraction** and cosmological parameters.
- Must be modeled/marginalized over to avoid biases in cosmological inferences from WL.

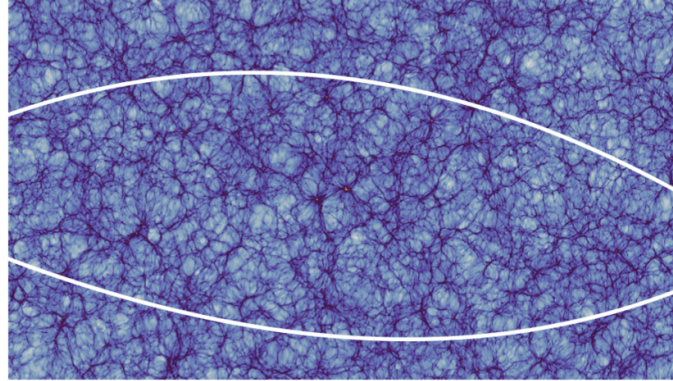
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Baryonic impact on LSS statistics



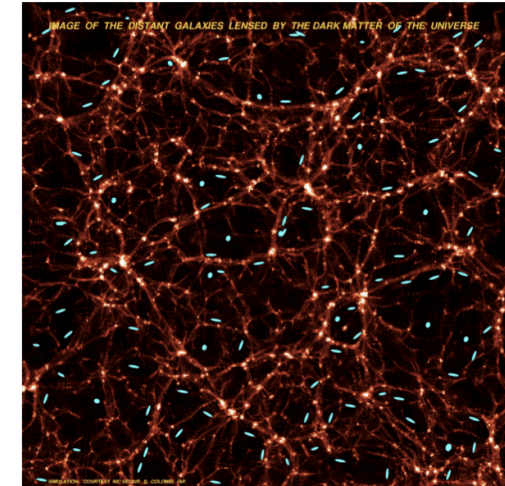
Far galaxies



Large Scale Structure: DM + baryons



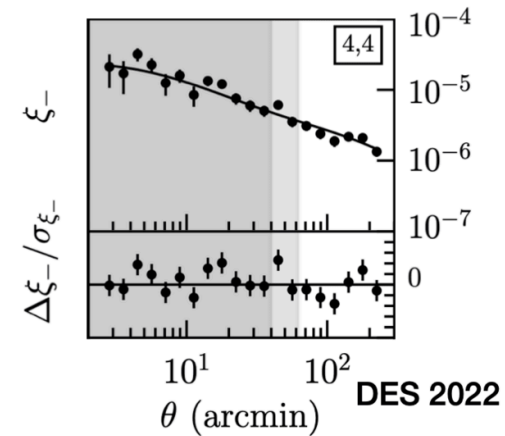
Observer



Courtesy of NYC group, S.Colombi

Correlation of galaxy shapes due to LSS gravity

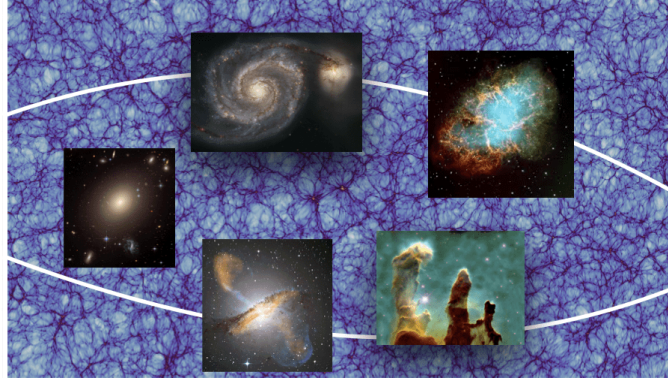
$$C_{\gamma_i \gamma_j}(\ell) = \int_0^{\chi_H} \frac{g_i(\chi) g_j(\chi)}{\chi^2} P\left(\frac{\ell}{\chi}, z(\chi)\right) d\chi$$



Baryonic impact on LSS statistics



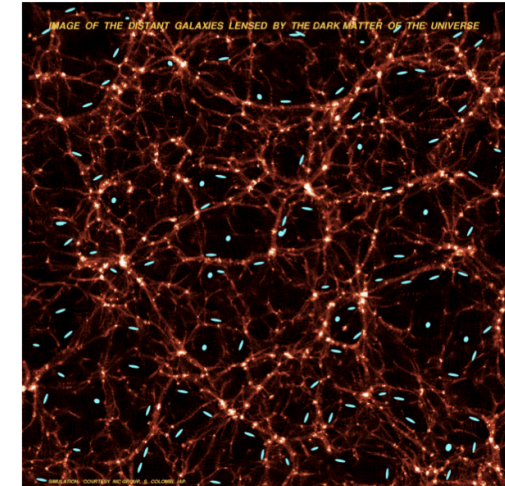
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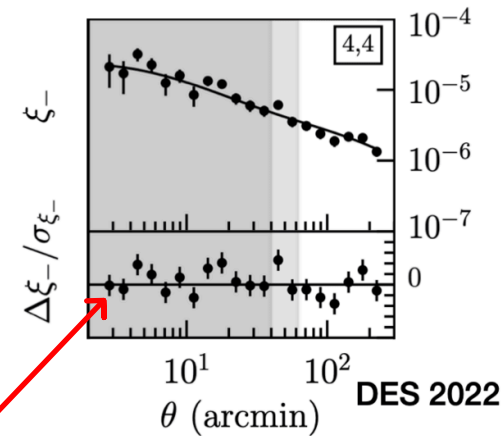
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baryonic effects in $P(k)$

Project: Testing impact baryonic effects on WL HOS

Idea - Explore two things:

- **Information content** of summary statistics as a function of **scale cuts**
- Testing the impact of baryonic effects on posterior contours

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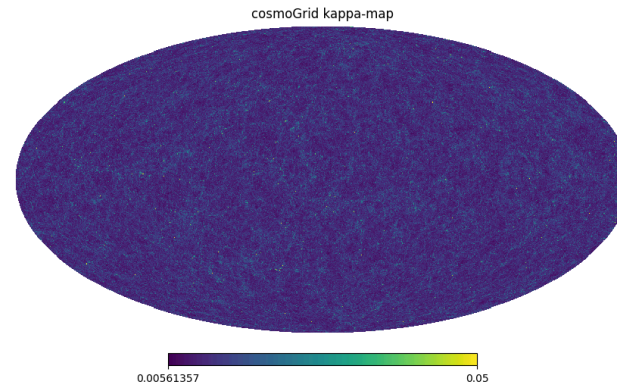
- **Information content** of summary statistics as a function of **scale cuts**
- Testing the impact of baryonic effects on posterior contours

This will show:

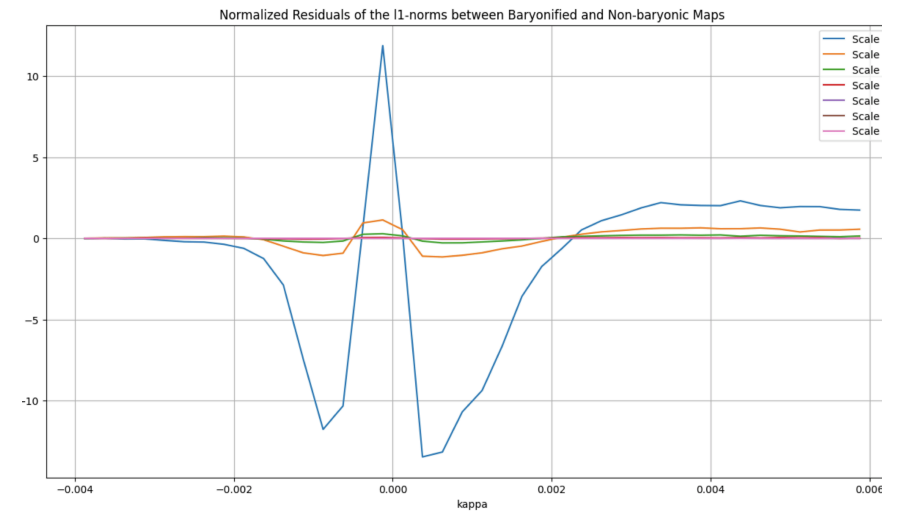
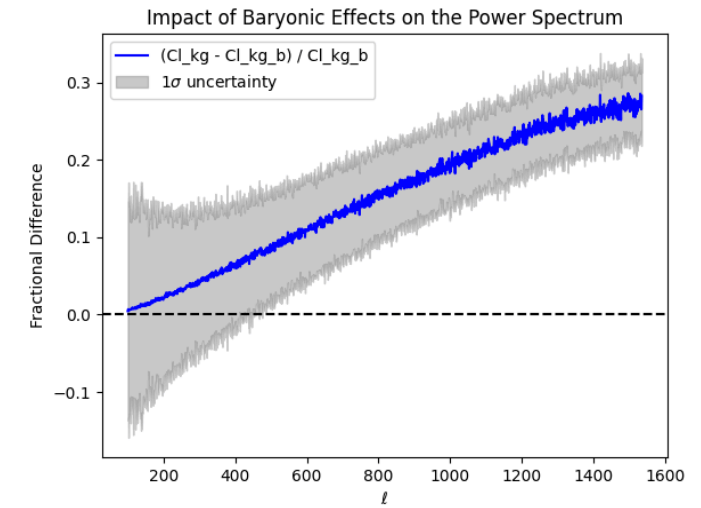
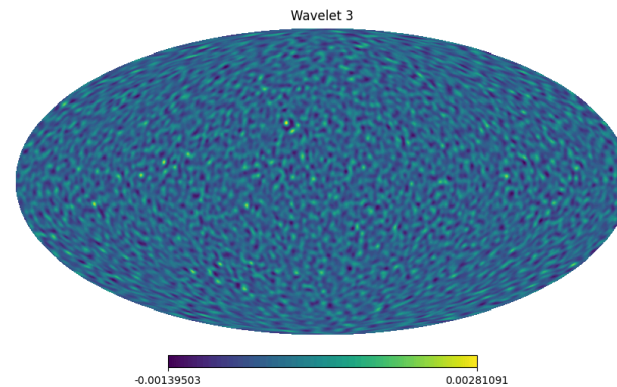
1. On what range of scales can the different statistics be used without explicit model for baryons
2. Answer the question: **how much extra information beyond the PS** these statistics can access in practice

cosmoGRID simulations

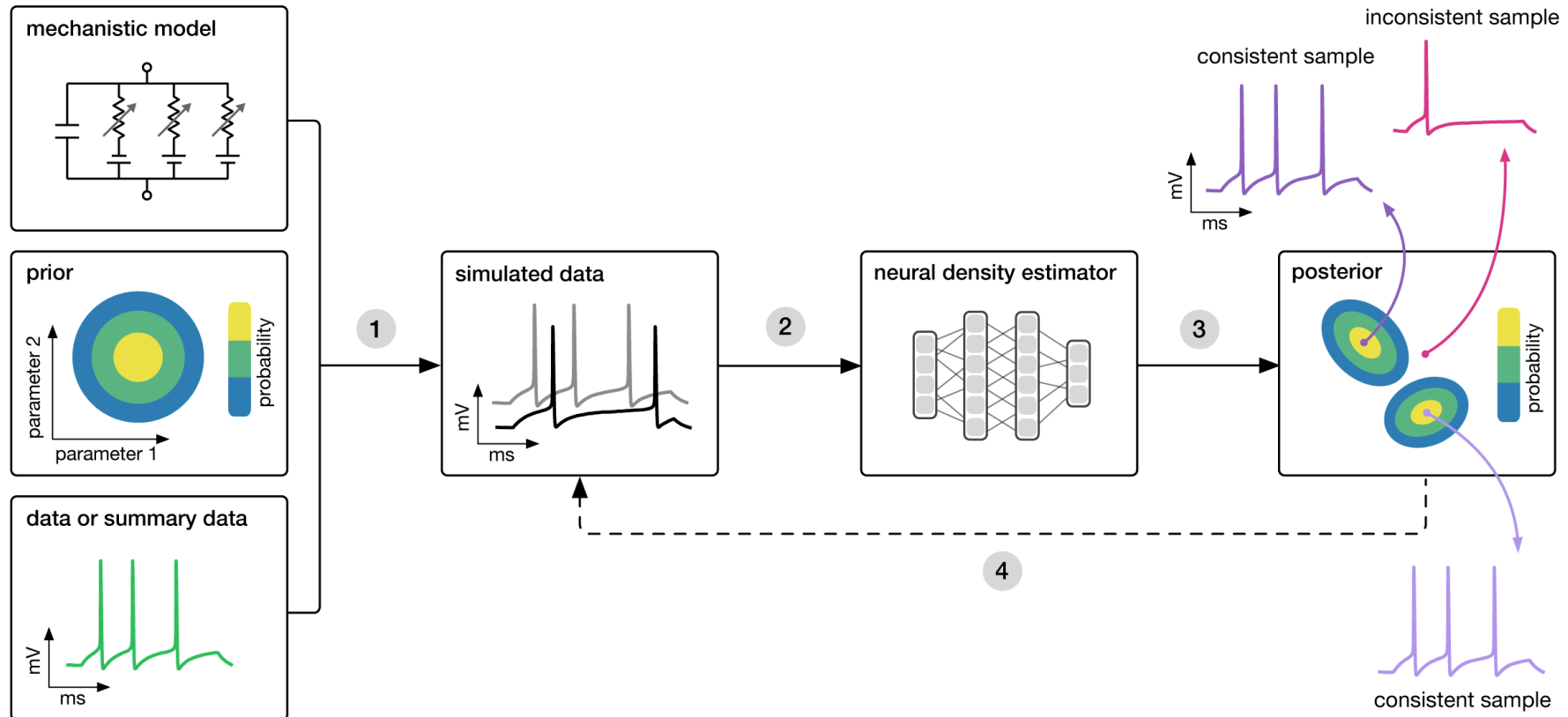
Power Spectrum



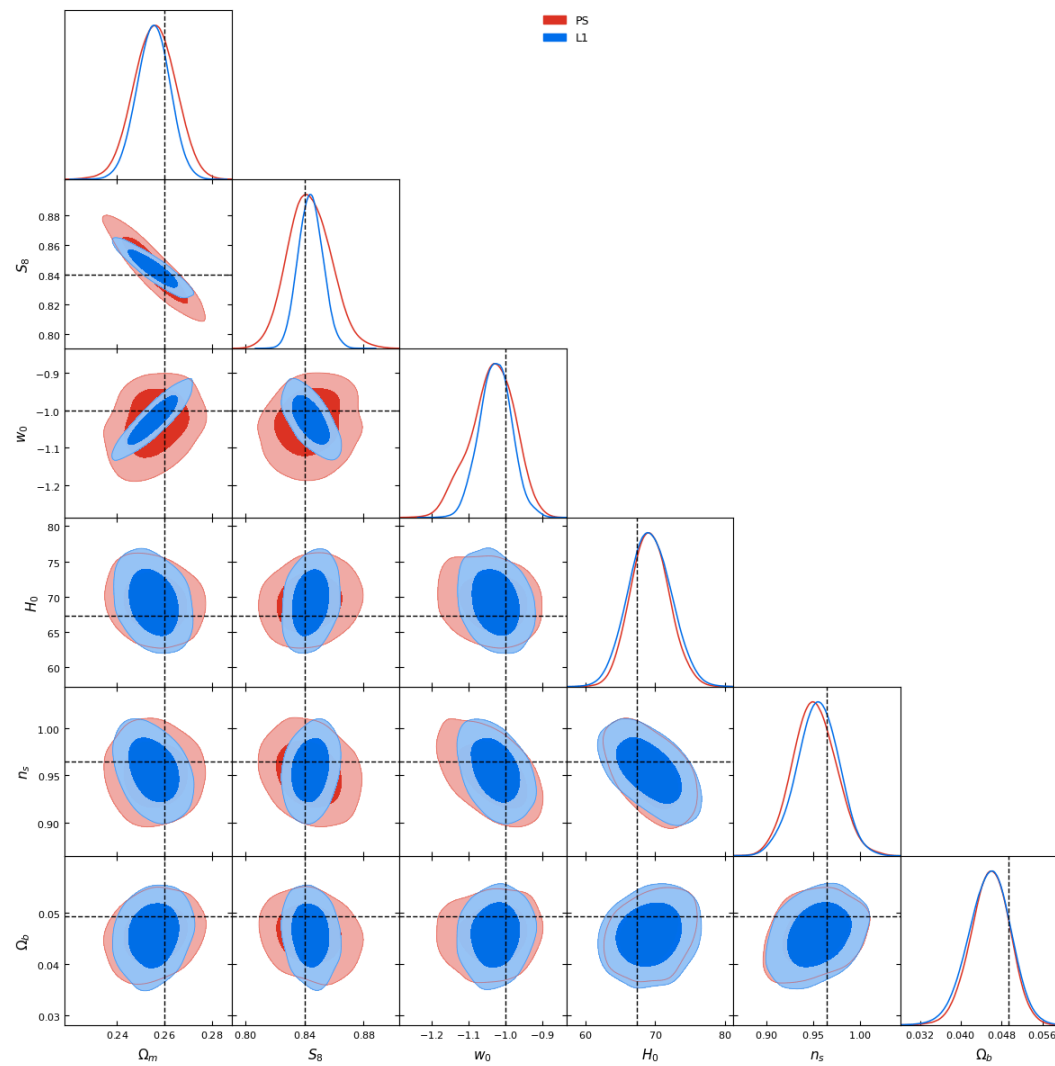
Wavelet l1-norm



Inference method: SBI

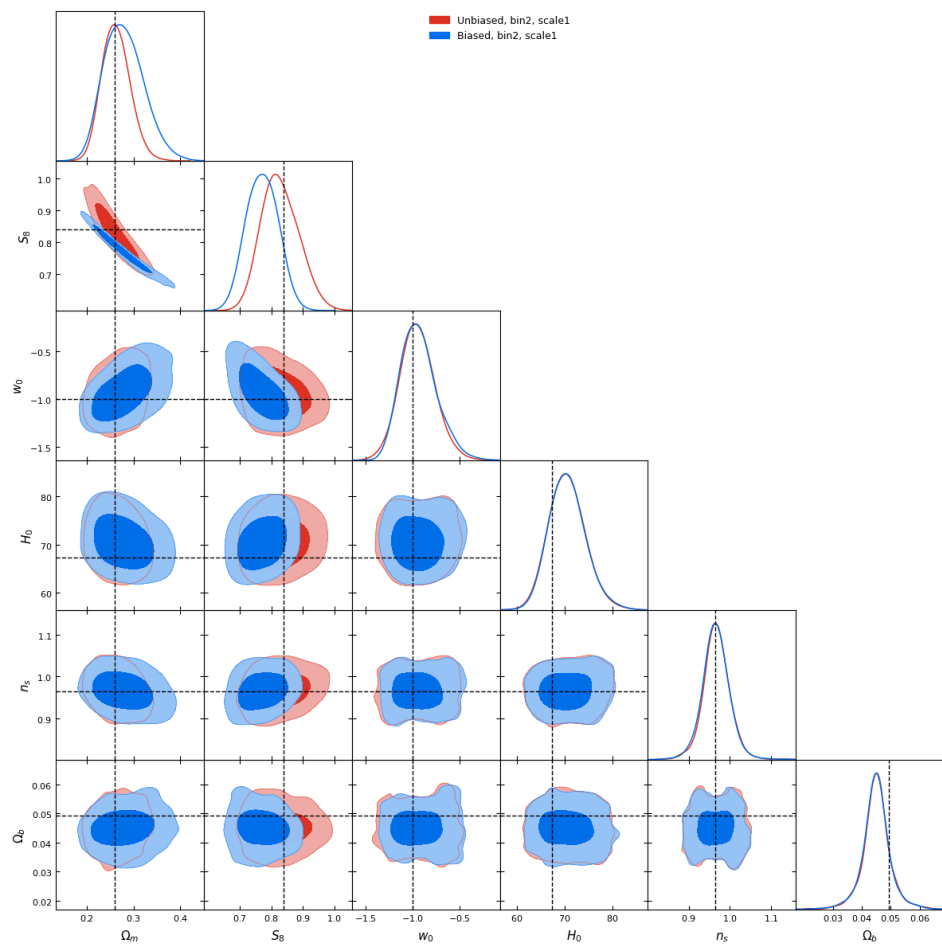


Power spectrum vs l1-norm (scale: ~ 10 arcmin)

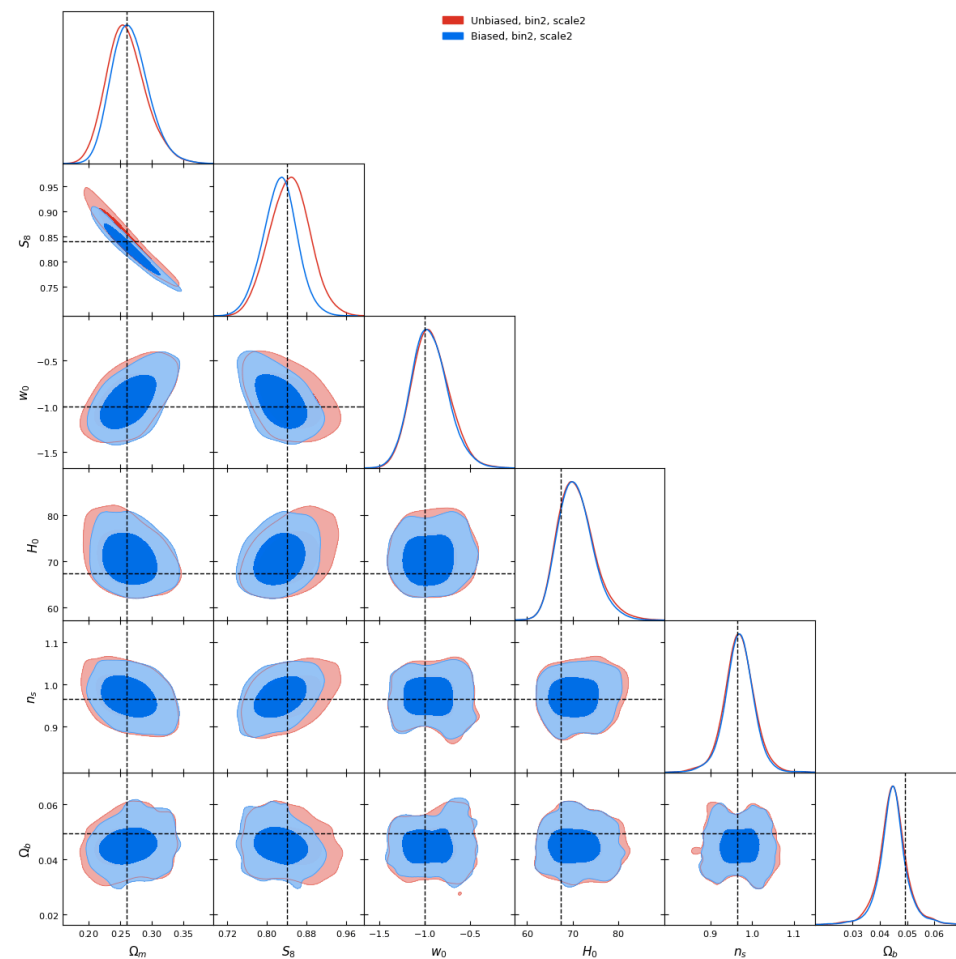


What about the baryonic effects? Do we have any bias?

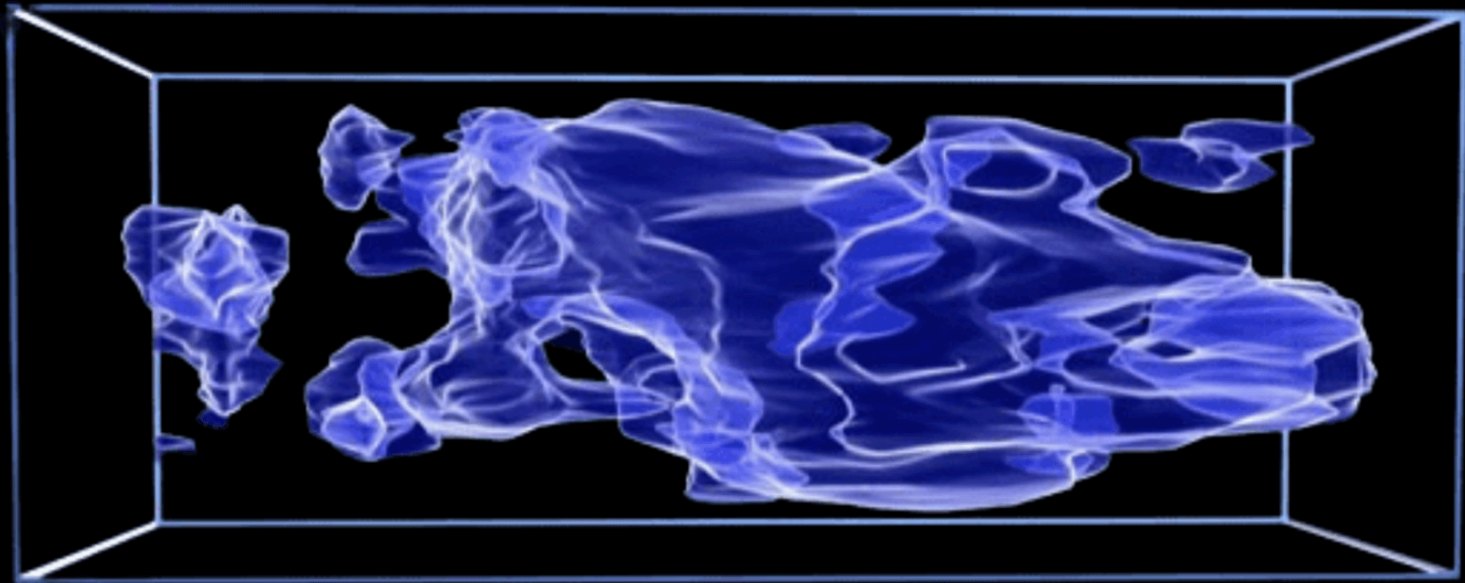
11-norm, scale 1 (~ 10 arcmin)



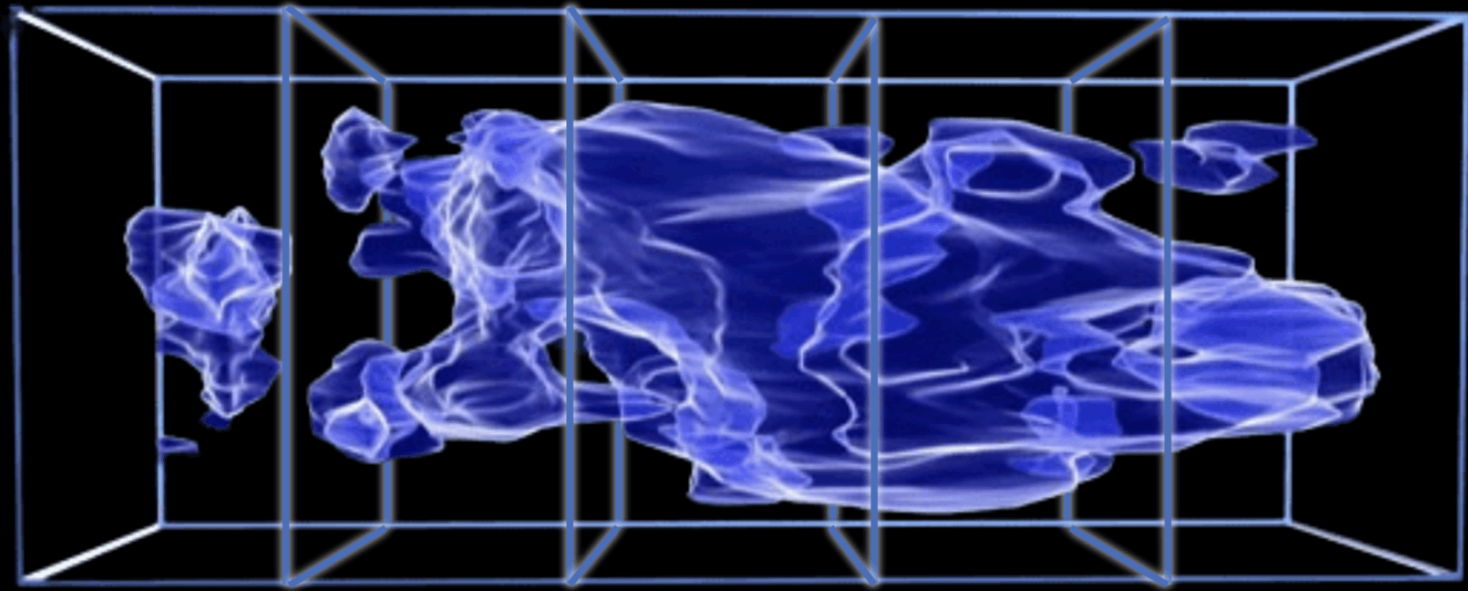
11-norm, scale 2 (~ 20 arcmin)



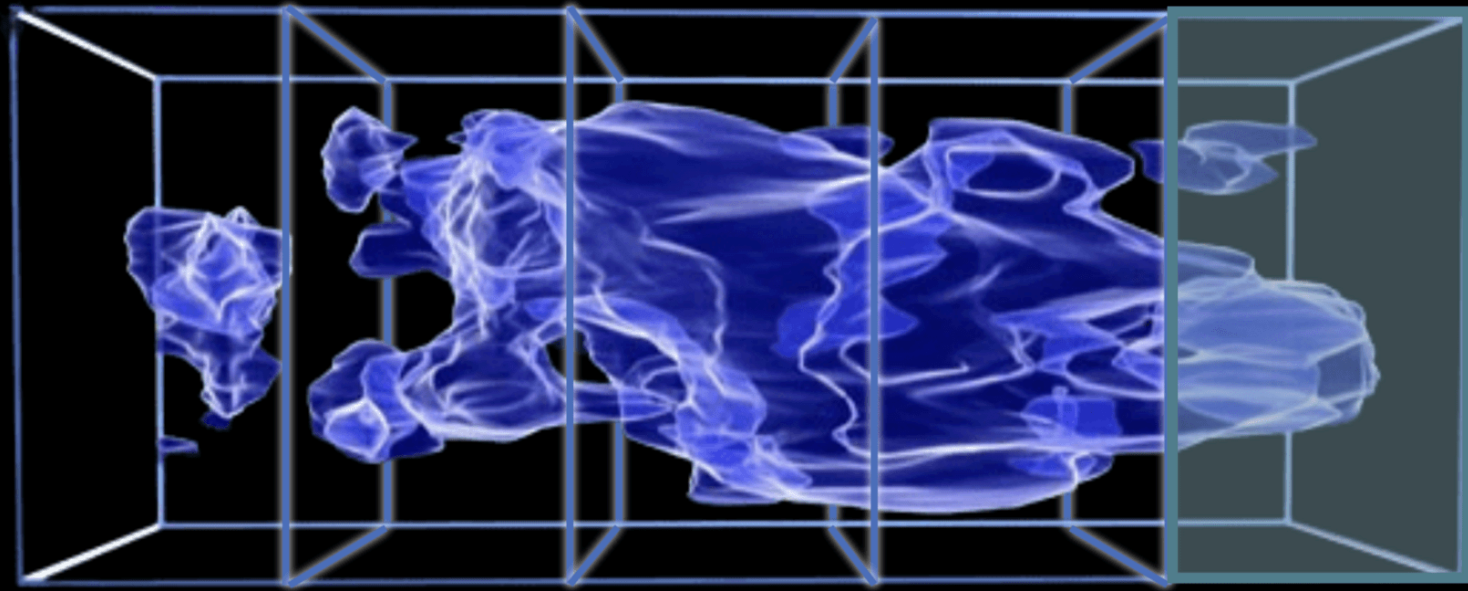
Weak lensing tomography



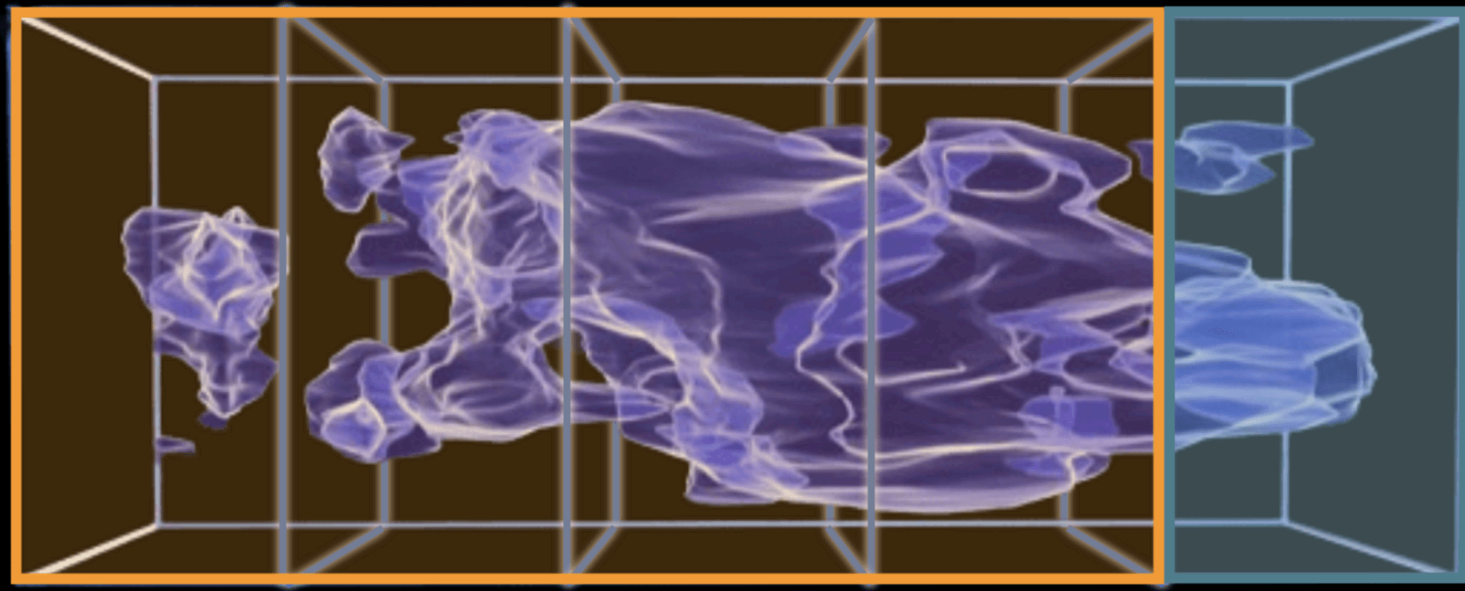
Weak lensing tomography



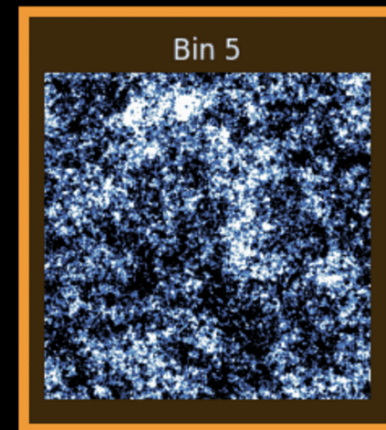
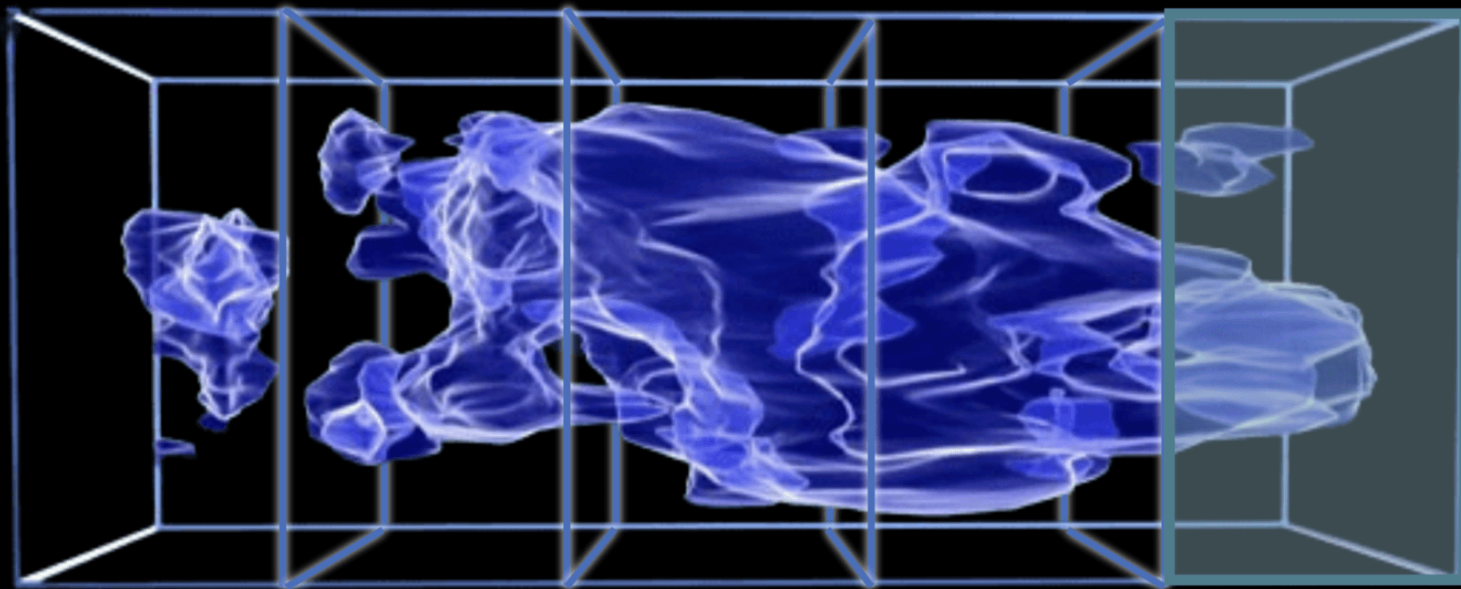
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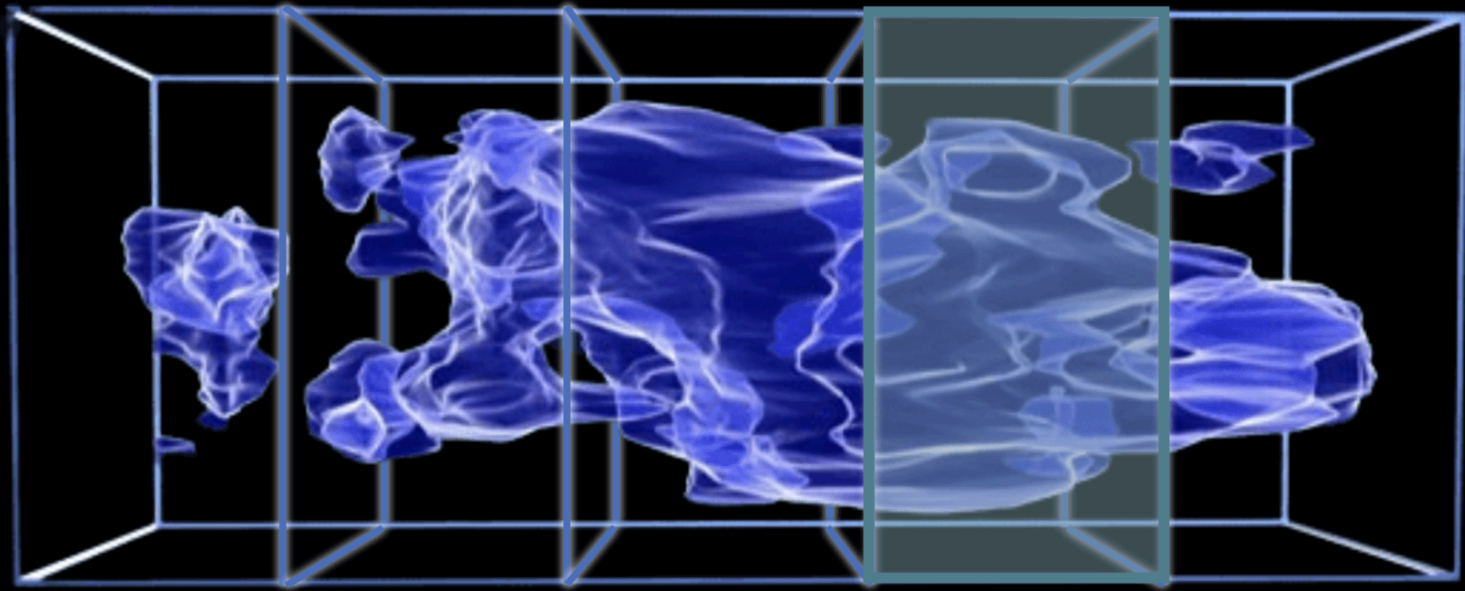
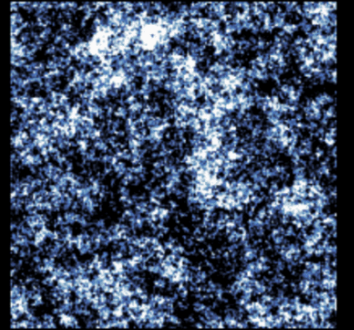


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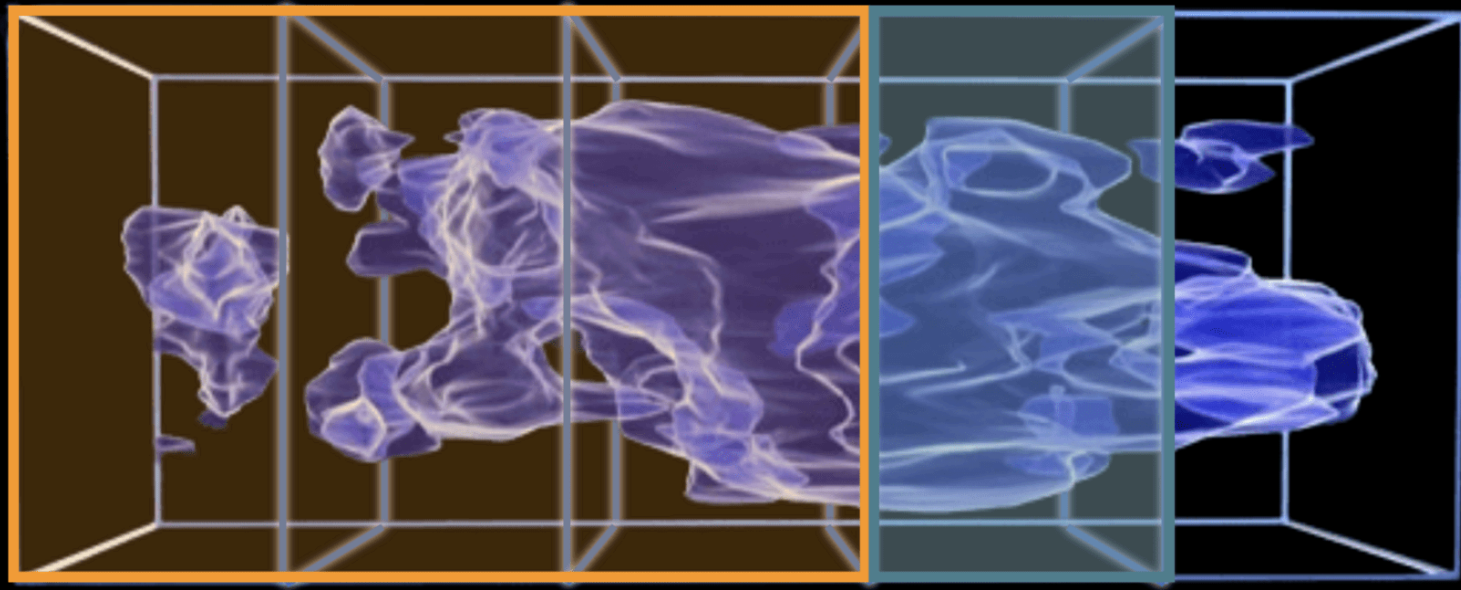
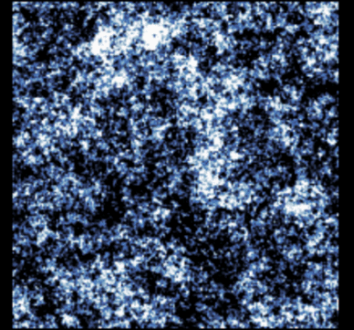
Weak lensing tomography

Bin 5

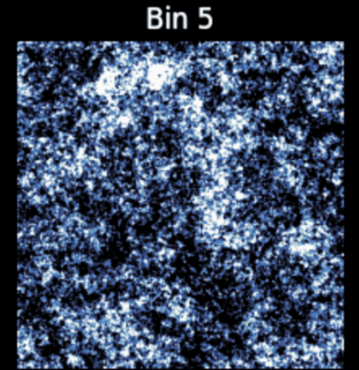
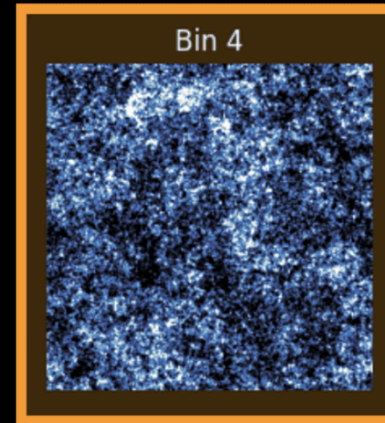
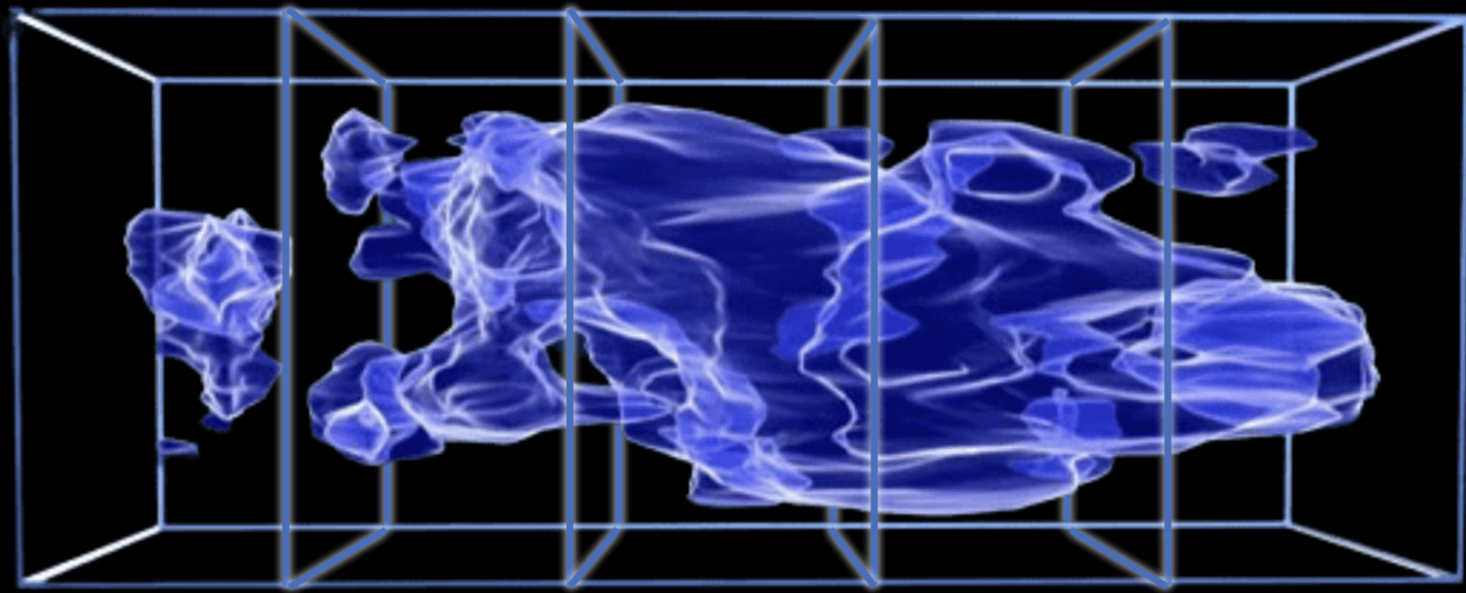


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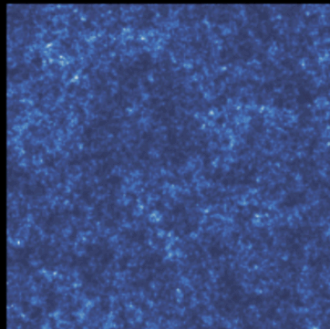


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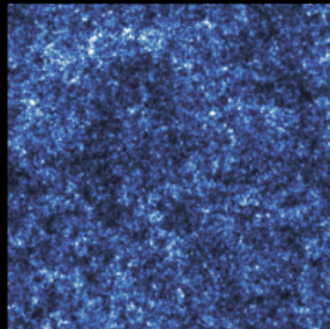


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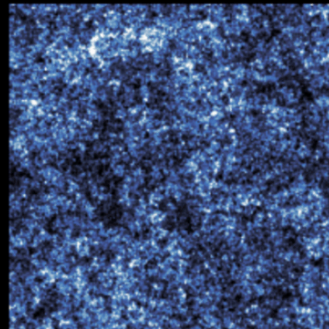
Bin 1



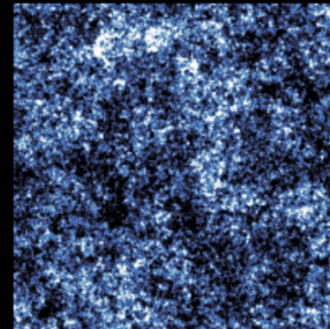
Bin 2



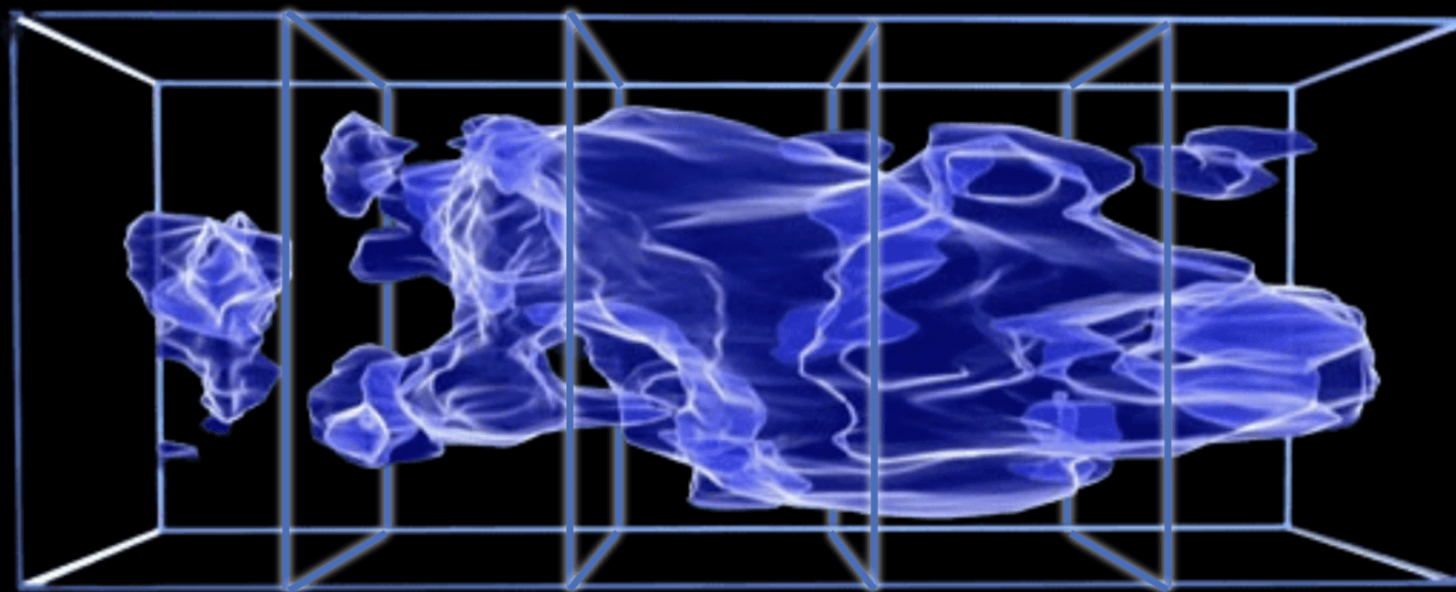
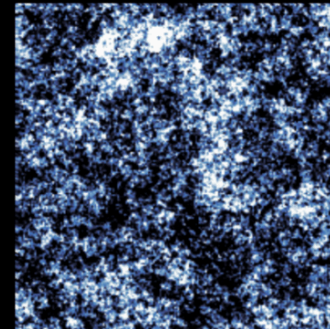
Bin 3



Bin 4

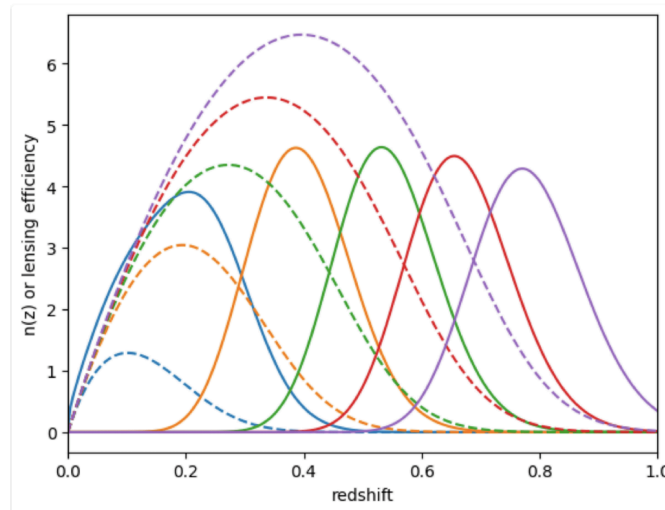


Bin 5



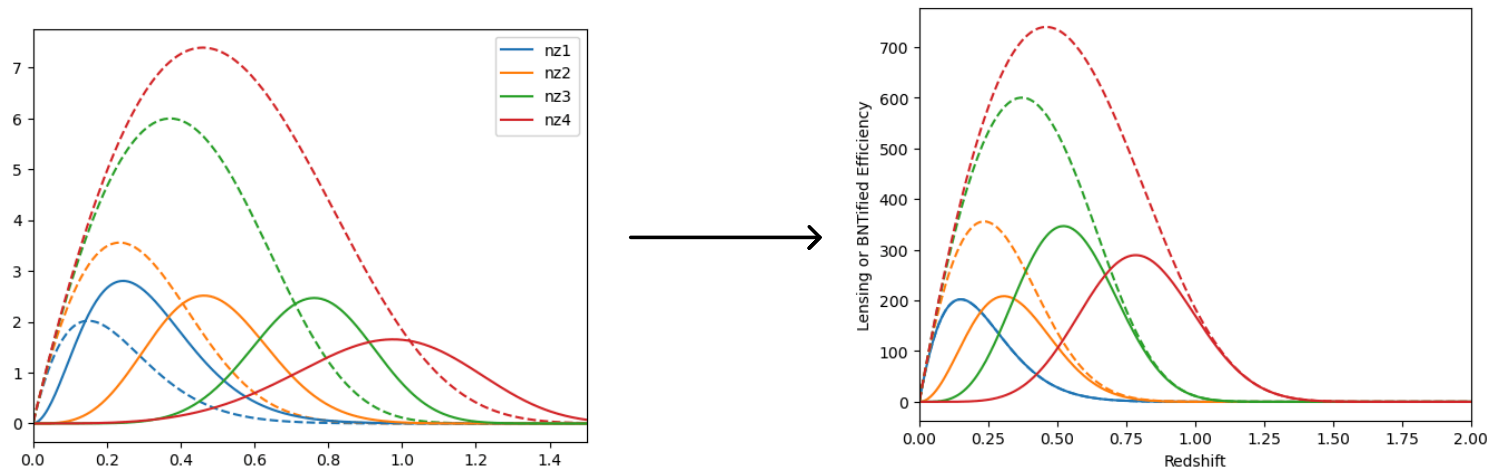
BNT transform

- When we observe cosmic shear, contributions come from mass at **different redshifts**.
- This creates **projection effects**: large and small-scale structures get mixed up.
- These effects make it harder to accurately analyze data and extract information



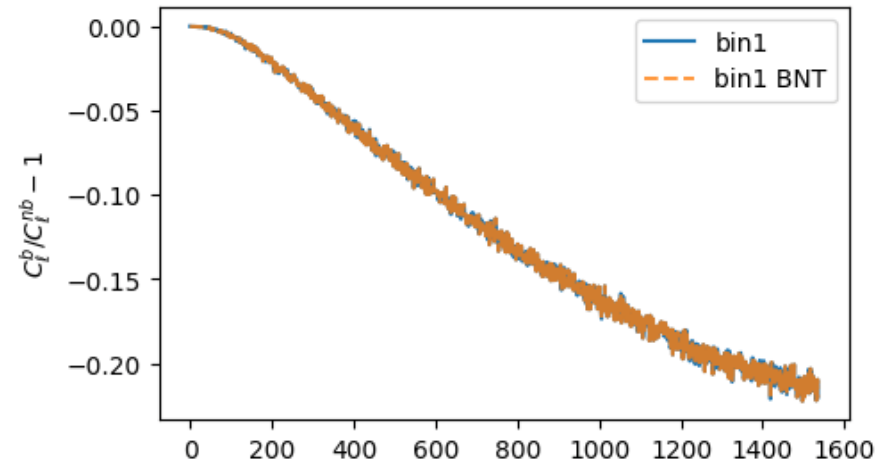
BNT transform

- **BNT Transform:** A method to “**null**” or remove contributions from unwanted redshift ranges.
- It reorganizes the weak-lensing data so that **only specific redshift ranges contribute to the signal**, making it easier to analyze.
- It focuses on **isolating lensing contributions** by sorting out overlapping signals.

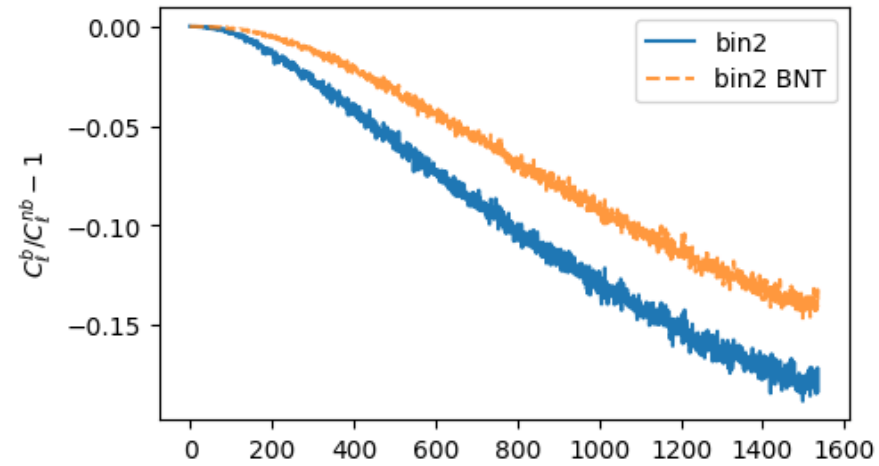


How are statistics impacted?

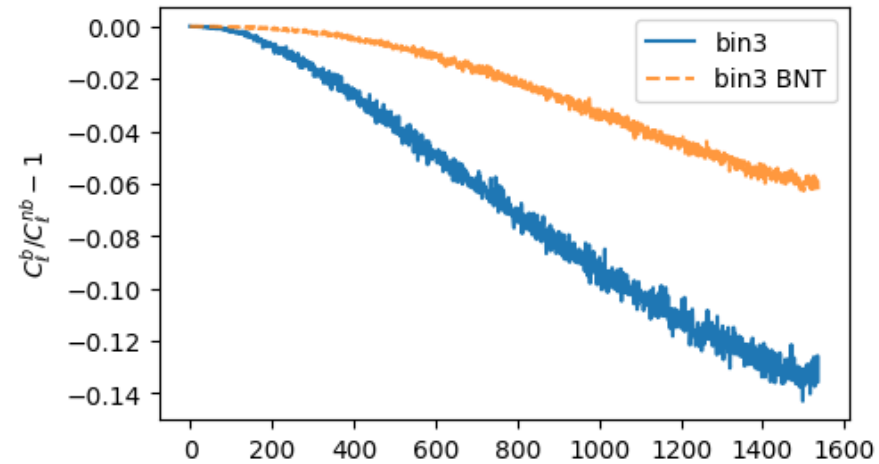
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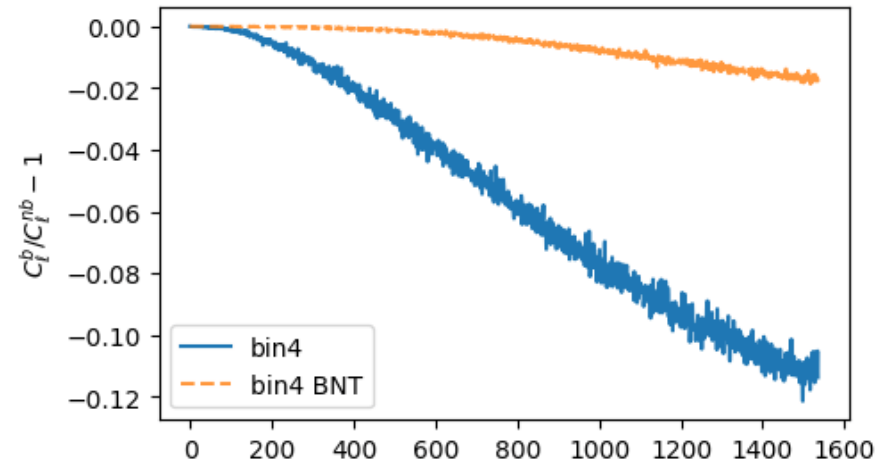
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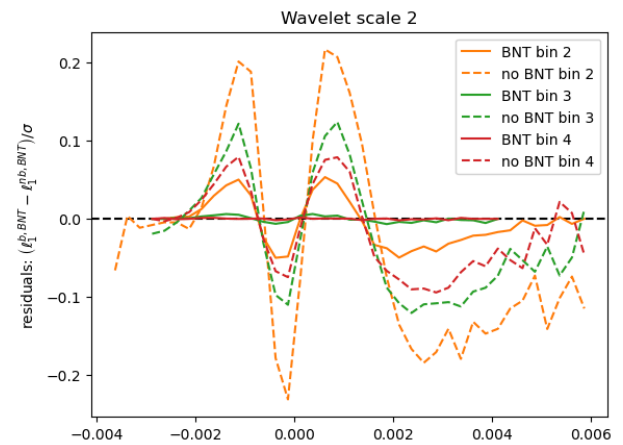
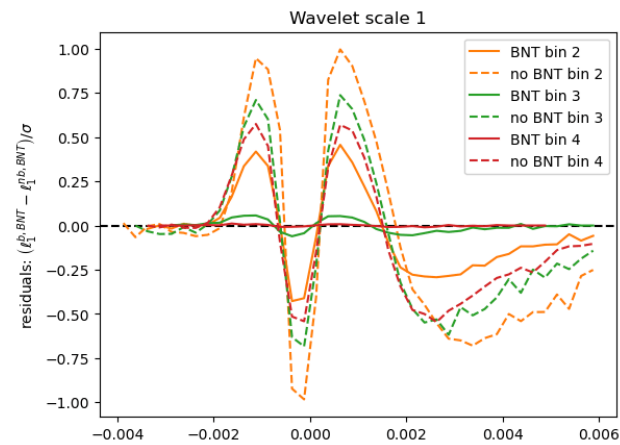
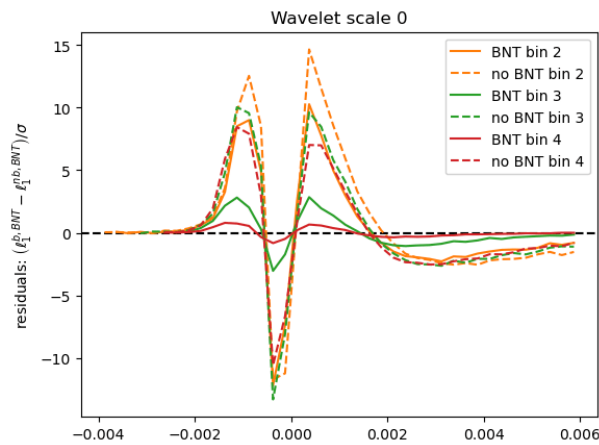
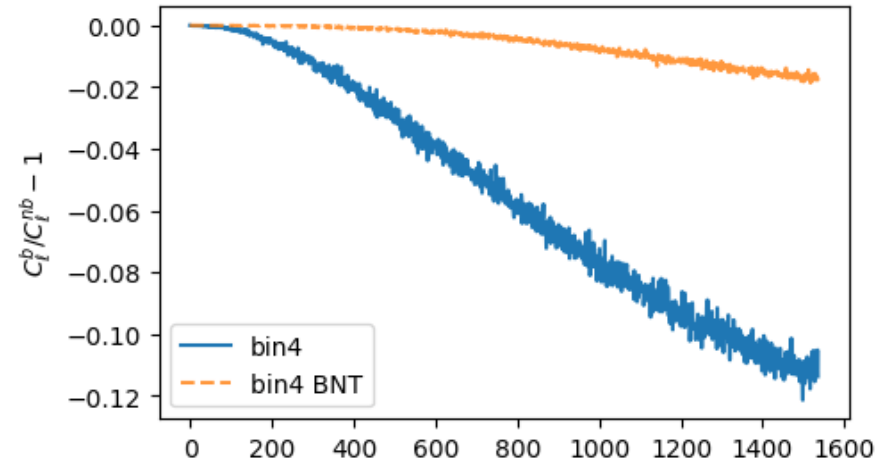
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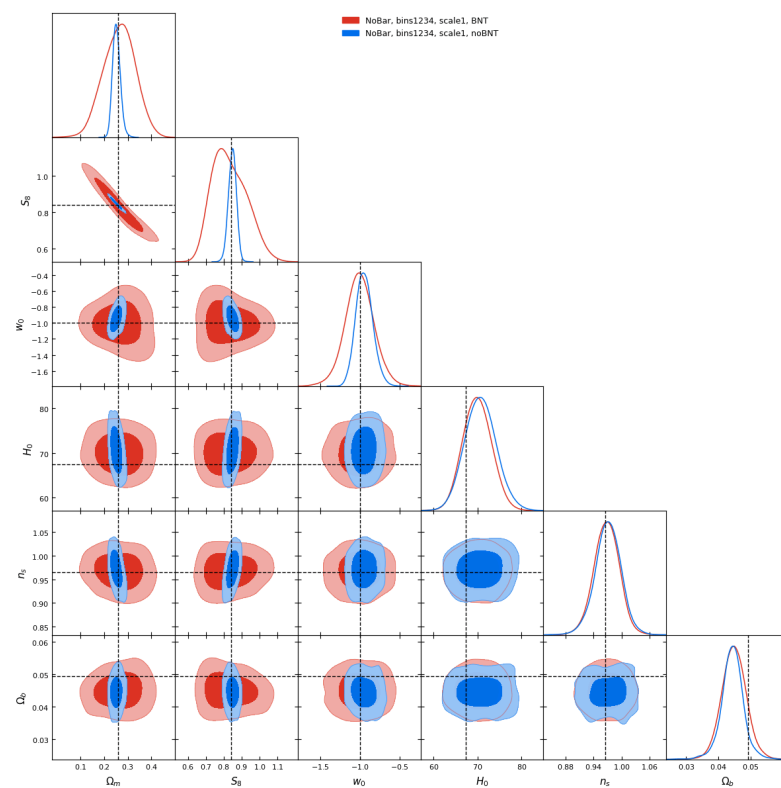
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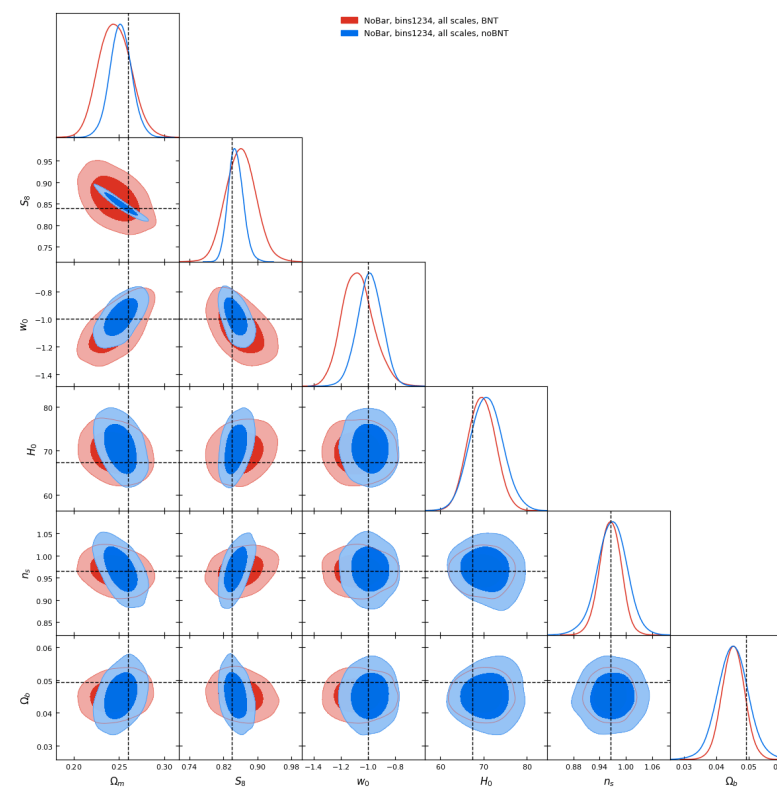
What about contours?

What about contours?

Scale 1 (~7arcmin)



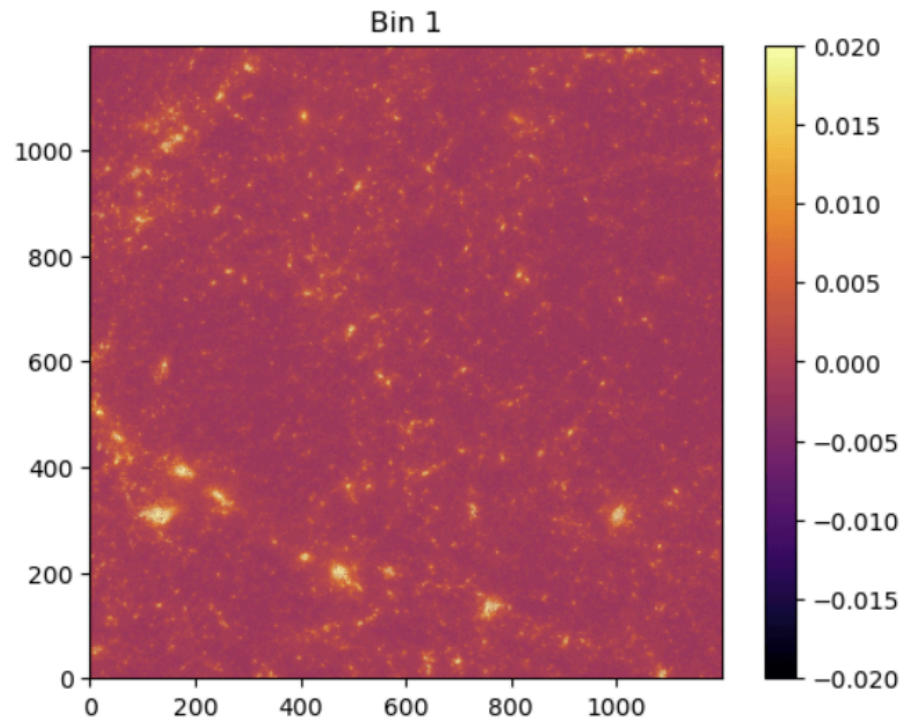
Multiscale



Why this reduction in constraining power?

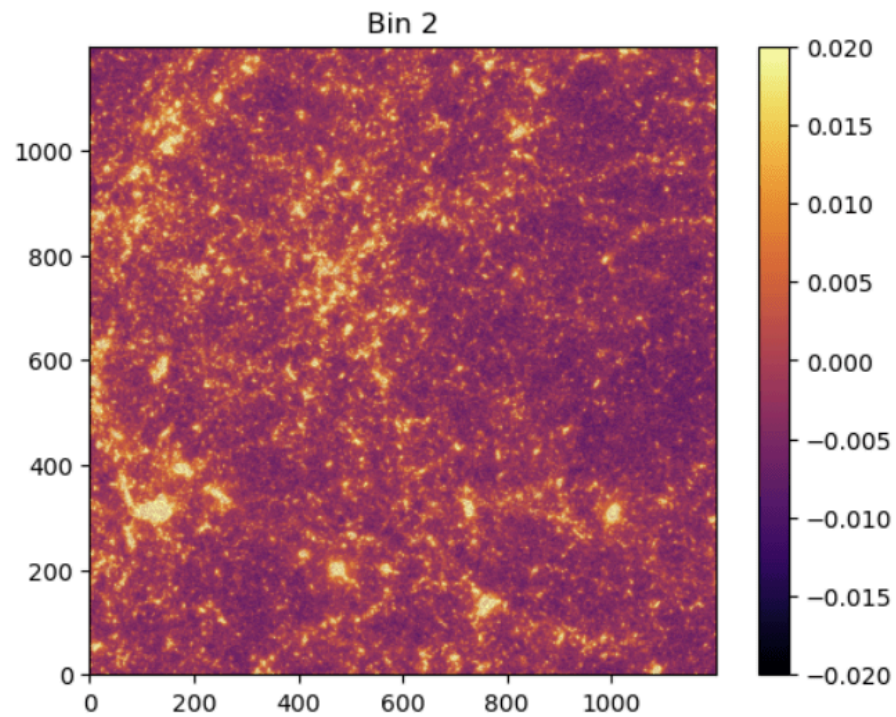
Why this reduction in constraining power?

no BNT



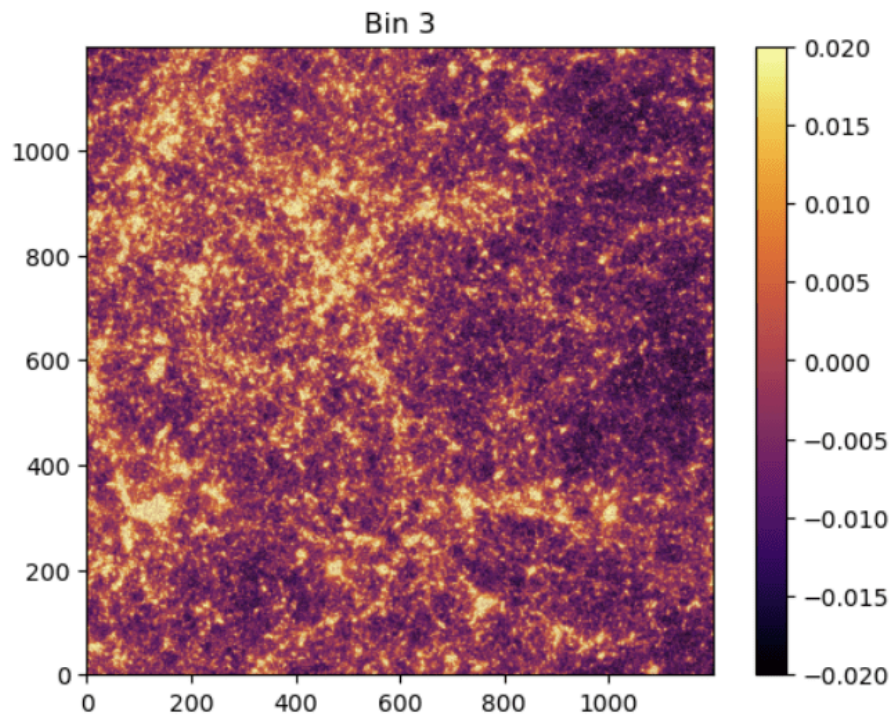
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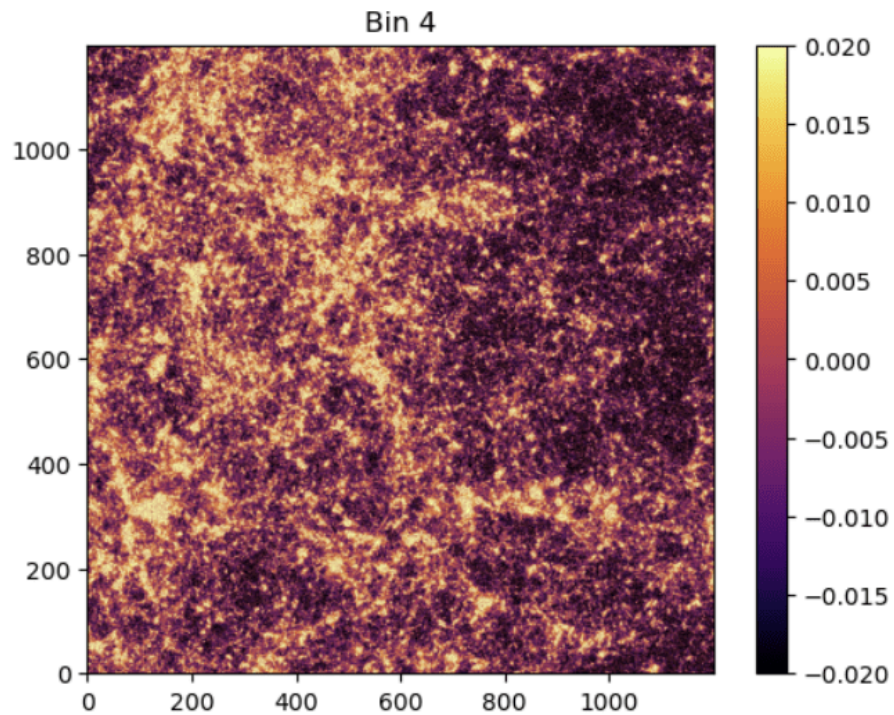
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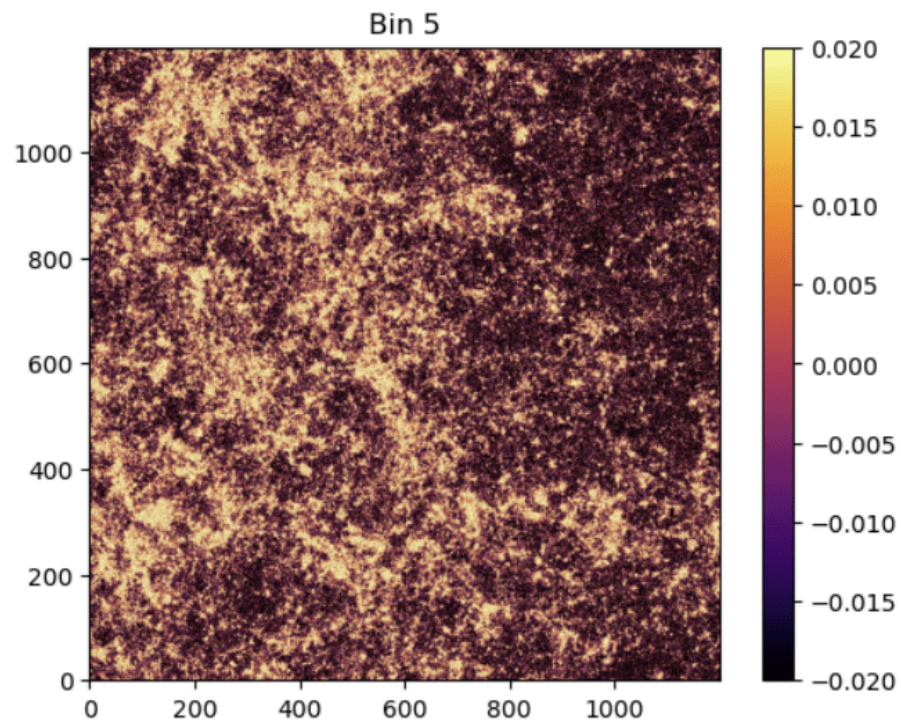
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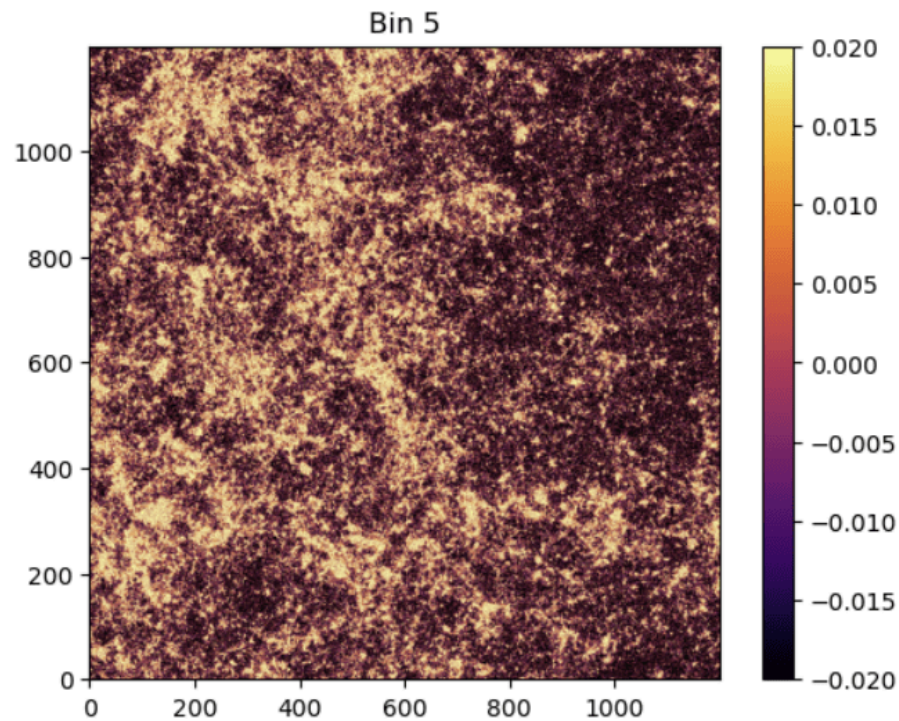
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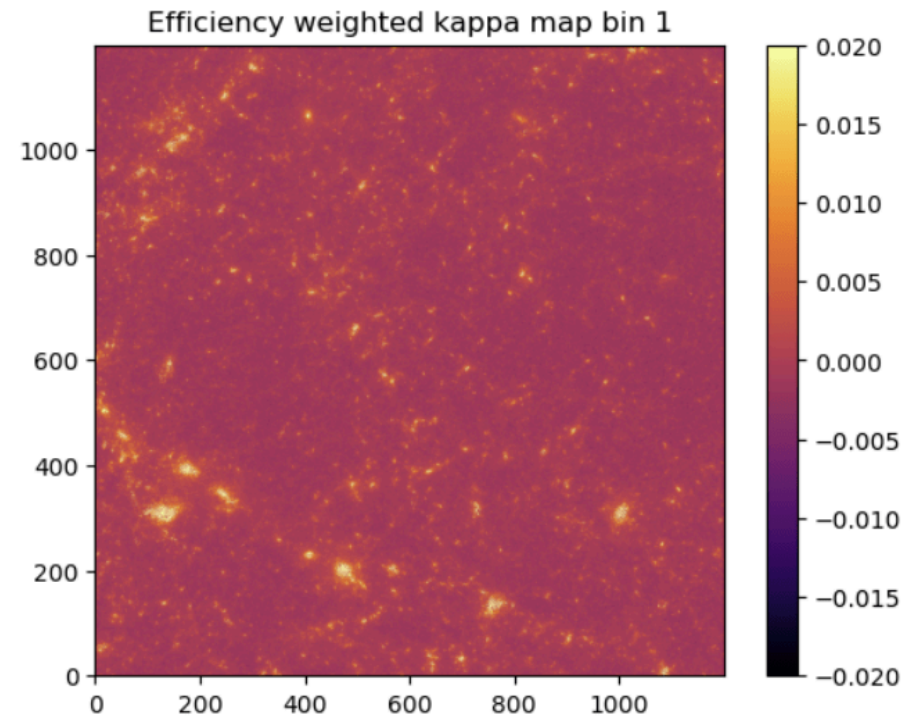


Why this reduction in constraining power?

no BNT

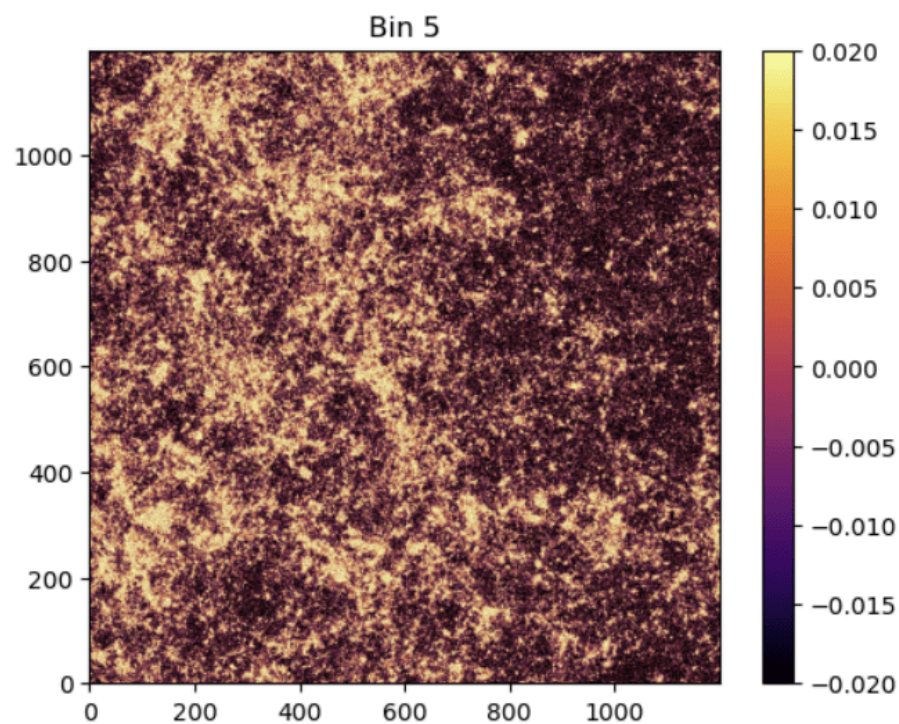


BNT

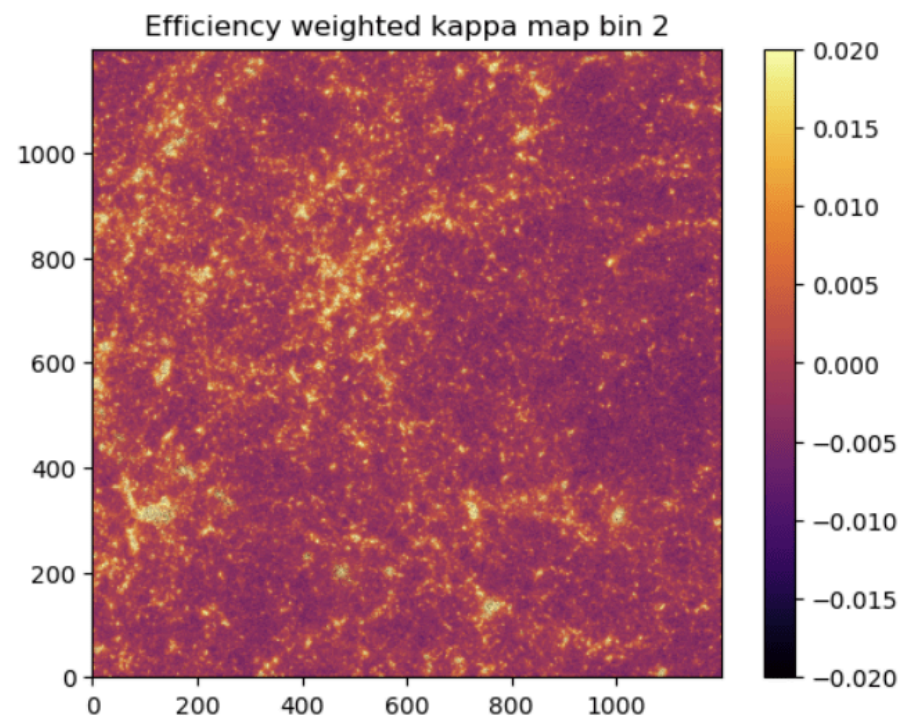


Why this reduction in constraining power?

no BNT

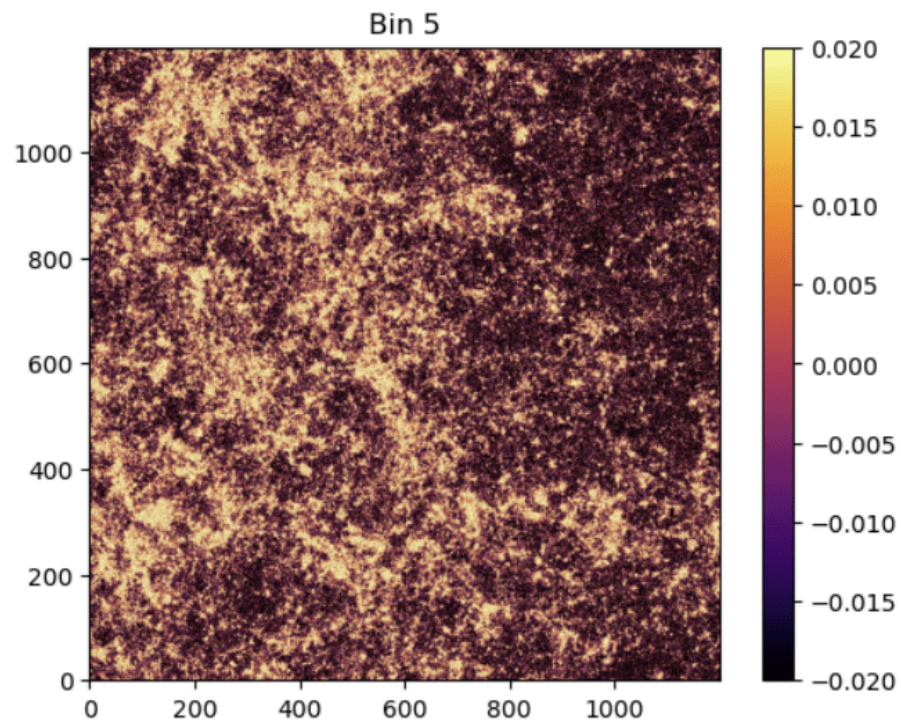


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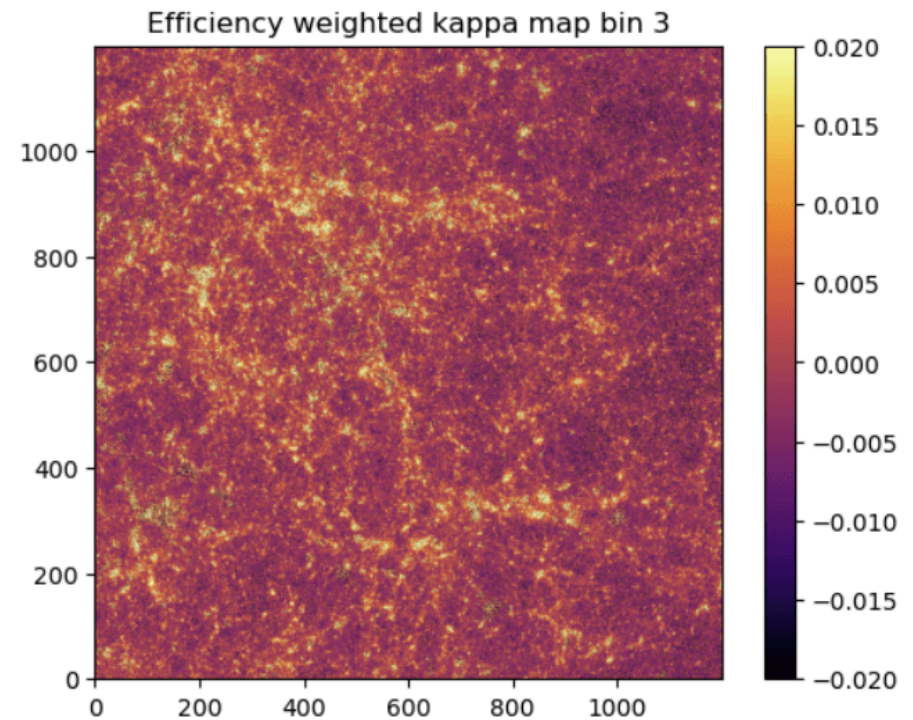


Why this reduction in constraining power?

no BNT

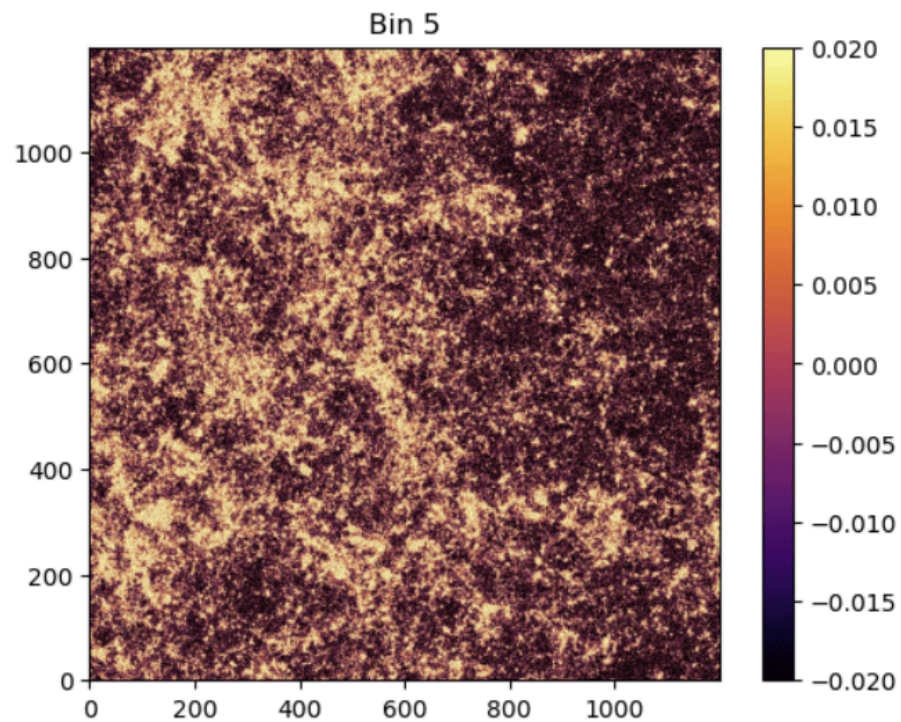


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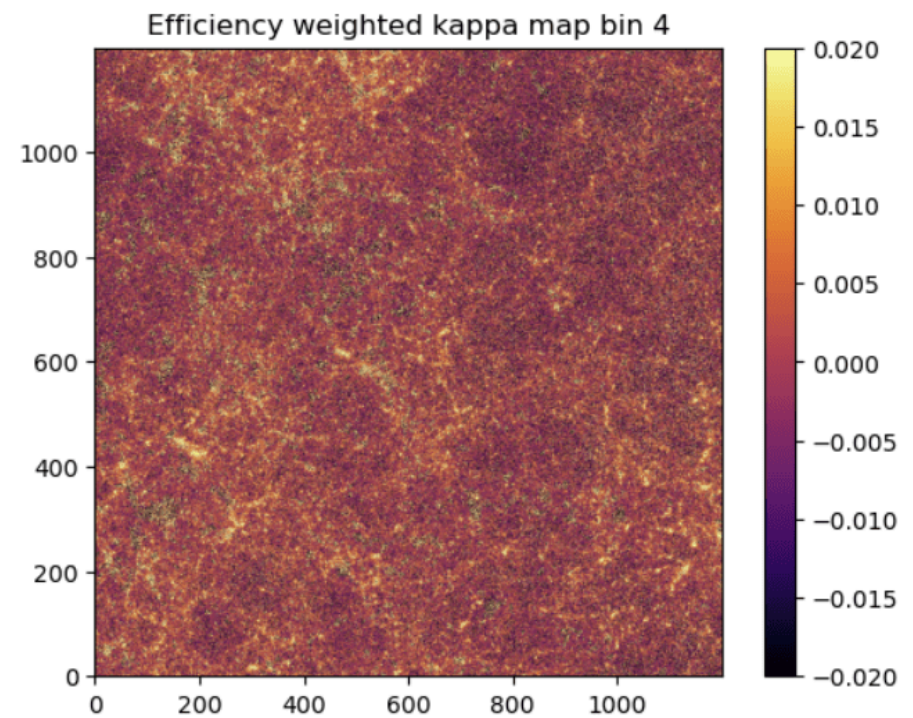


Why this reduction in constraining power?

no BNT

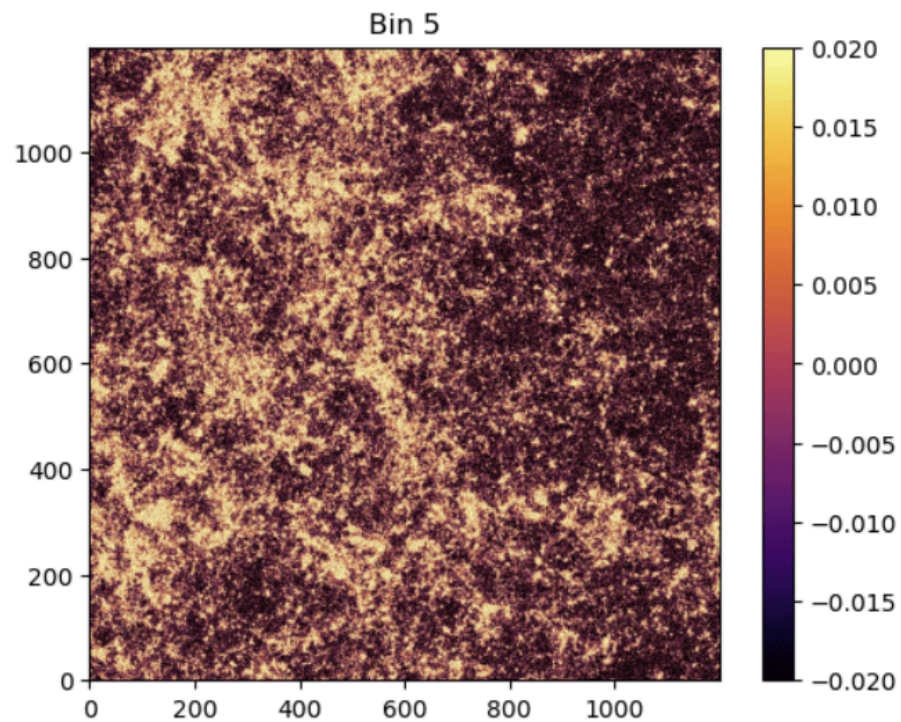


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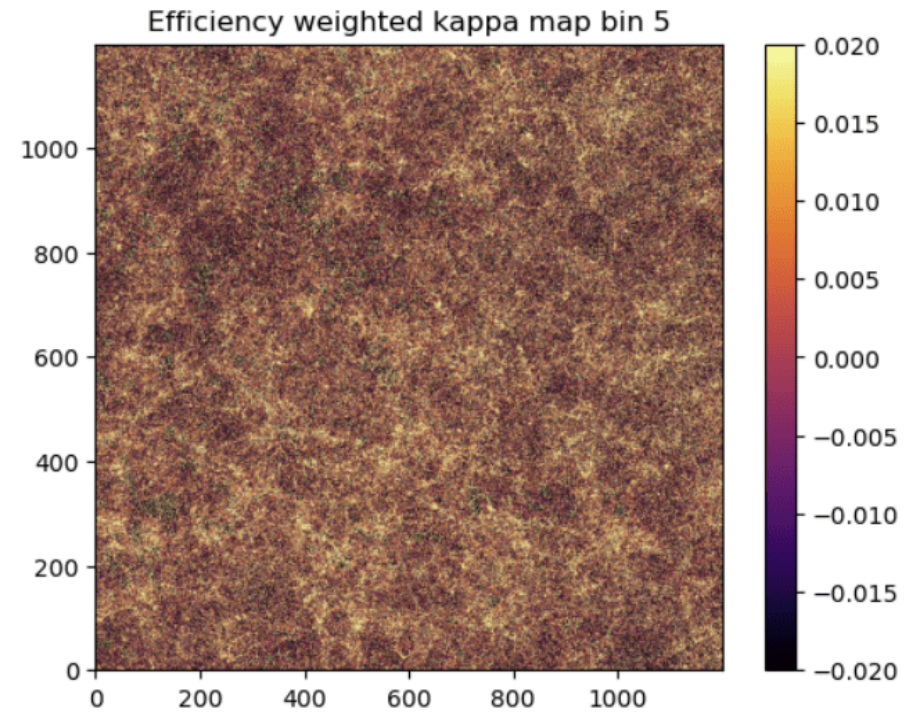


Why this reduction in constraining power?

no BNT

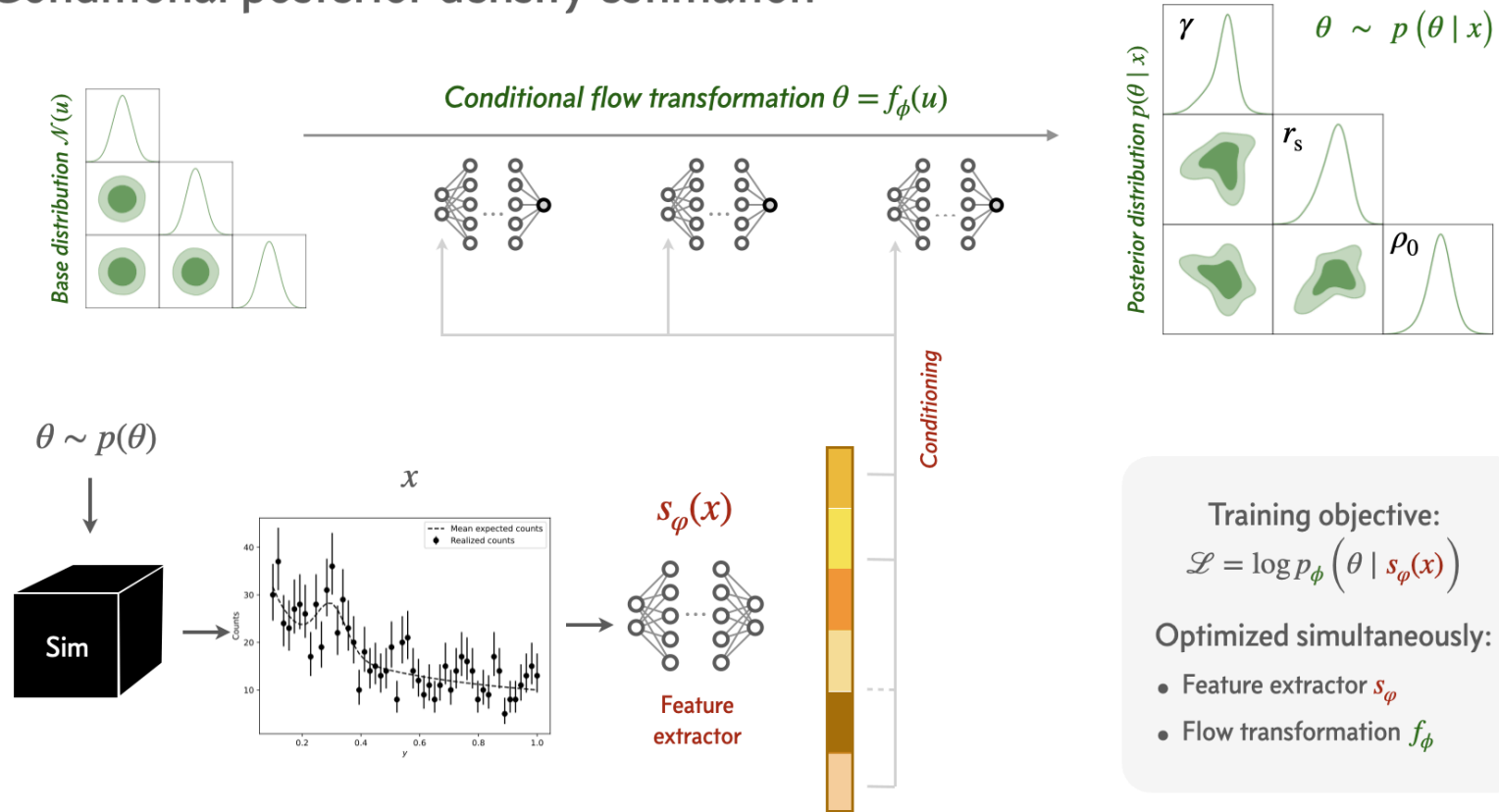


BNT



Hope: Neural Summaries (VMIM)

Conditional posterior density estimation



Hope: Neural Summaries (VMIM)

