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TITAN ARTIFICIAL INTELLIGENCE N ASTROPHYSICS

Deep and Sparse Denoising of High-z Spectral Data Cubes:

Benchmarking U-Net, Wavelets, and BSS from simulations to observations













Challenges with high-redshift IFUs

- Low SNR: Weak signals dominated by noise due to large cosmological distances.
- Instrumental Noise: Detector artifacts and sky subtraction errors.
- **Convolution Effects:** PSF and beam smearing may distort flux values affecting flux conservation.
- **Denoising Bias**: Aggressive methods may lead to \bullet over-smoothing and can suppress real signals or overestimate "not-real" signal
- Lack of a large sample space \bullet

MOTIVATION

A I M S

To analyse and compare denoising methods for spectral cubes across a broad parameter space, focusing on:

- Noise characteristics: Spatially correlated \bullet
- Gaussian noise (ALMA) Noise levels: Varying signal-to-noise ratios
- Spatial resolutions: Resolved or unresolved by the synthesised beam

And understand how each method performs under different conditions and identify the optimal approach for flux conservation and denoising, for specific datasets and noise characteristics, with application to observational data



Toy models of rotating galaxies





Spectral cubes

multiple spectral observation of the same spatial area, where each (x,y)spatial point corresponds to a spectrum



Describing the specific intensity profile in 3D space

 $I_{\nu}(x, y, z) = I_e \exp \left[-b_n \left(\left(\frac{\sqrt{2}}{2}\right)\right)\right]$

$$\frac{\sqrt{x^2 + y^2}}{R_e} \bigg)^{1/n} - 1 \bigg] \cdot \exp\left(-\frac{|z|}{h_z}\right)$$

Sérsic profile

Exponential profile



Describing the specific intensity profile in 3D space

Sérsic profile $I_{\nu}(x, y, z) = I_e \exp \left[-b_n\right]$

Integrated along Z-axis (Face-on)



Specific Intensity at a given location in 3D space **Constant** depending on n, ensuring that the effective radius encloses half of the total light

Effective Specific Intensity: Specific intensity contained within the half-light radius

Effective/half-light radius: radius at which half of the total light of the galaxy is contained

$$\left[\left(\frac{\sqrt{x^2 + y^2}}{R_e} \right)^{1/n} | -1 \right] \cdot \exp\left(-\frac{|z|}{h_z} \right)$$

Sérsic index: determines the shape of the profile

Scale height: determines how the flux density varies above or below the galactic mid-plane.

Exponential profile

Integrated along Y-axis (Edge-on)







• Rotation velocity vectors $(\mathbf{v}_x, \mathbf{v}_y, \mathbf{v}_z)$ calculated in the plane of the disk

$$v = v_0 \times 1.022 \times \left(\frac{R}{R_0}\right)^{0.080}$$

- The entire system is rotated and Z axis is chosen as the line of sight
- N_z 2D projections are made along line of sight based on v_z bins
- Final spectral cube is convolved with 2D circular Gaussian beam
- Galaxies smaller than beam FWHM are unresolved, and larger than FWHM are **resolved**
- Gaussian noise is overlaid onto the cube







Resolved source with multiple satellites showing double-horned spectra with wellresolved kinematics

Unresolved source with compact emission with peak at systemic velocity and improperly-resolved kinematics



Spatially correlated Gaussian noise (convolved with the beam) is overlaid onto the cube



Focusing on very high noise regime!







Toy models of rotating galaxies





Spectral cubes

multiple spectral observation of the same spatial area, where each (x,y)spatial point corresponds to a spectrum







Observational Reference: W2246-0526

- 1. W2246–0526 Overview: An exceptionally luminous, hot dust-obscured galaxy (Hot DOG) at $z \approx$ 4.6, powered by a buried AGN with $L_{
 m bol} \sim 3.5 imes 10^{14} L_{\odot}$ (Díaz-Santos et al. 2021; Tsai et al. 2015).
- 2. Highly Turbulent ISM: ALMA [CII] maps reveal extremely broad ($FWHM \ge 500 \, km \, s^{-1}$) and uniform line emission over ~2.5 kpc, indicating a turbulent interstellar medium without a settled disk (Díaz-Santos et al. 2015).
- **3.** Merger and Outflows: Deep ALMA imaging shows W2246 interacting with at least three companion galaxies through dusty tidal bridges, undergoing a multiple-merger event and driving large-scale outflows (Díaz-Santos et al. 2021; Fernández Aranda et al. 2025).
- **4. Challenges in Observations:** Compact, dust-enshrouded starburst regions and AGN make the [CII] line faint, extended, and embedded in strong dust continuum, compounded by low flux, beam smearing, and high noise at high redshift.
- **5.** Need for Denoising: Advanced denoising techniques are critical to recover faint astrophysical signals, improve SNR, and enable reliable flux, kinematics, and morphological analysis of both the host and its extended structures.





Toy models of rotating galaxies







Mock IFU data from cosmological simulations

Observational data (ALMA)

Spectral cubes

multiple spectral observation of the same spatial area, where each (x,y)spatial point corresponds to a spectrum



Pre-processing mock IFU cubes from FIRE



A multiple-merger system was discovered in the FIRE simulations - simulated at redshift 4.5, central galaxy with multiple satellites and visible bridges and streams of gas

Aim: To pre-process the raw, highly resolved mock IFU cube and convolve it with an appropriate beam to make the cube as close as possible to real observations (ALMA)





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Identifying emission regions

Fixed masks focusing on the central galaxies are constructed as a function of the effective diameter of the galaxy and the beam FWHM (both in pixels)

 $D_{\rm ap} = \begin{cases} 2 \times D_e & \text{if } D_e > \text{FWHM}_{\text{beam}} \\ 2 \times \text{FWHM}_{\text{beam}} & \text{if } D_e \leq \text{FWHM}_{\text{beam}} \end{cases}$

Accurate emission masks constructed using astrodendro, which identifies regions with strong emission hierarchically in the whole cube

< However, astrodendro masks are unable to get accurate apertures on data with very high levels of correlated noise, hence we use fixed masks for our comparative analysis



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Principal Component Analysis (PCA)









Each spectral slice...



... is decomposed into n_{2d} scales



Scale #2 Scale #3



2D decomposition: Starlet transform on each spectral slice : undecimated and non orthogonal (dimensions of each slice are preserved)











Example velocity spectrum for one spaxel (each element of 1 D array is the flux density at an (x,y) spaxel





Spectrum of length $N_{\rm z}$ (number of spectral slices)



Scale #1 length $N_z/2$

1D

1D wavelet transform (Downsamples the data in each scale)



Scale #2 length $N_z/4$

decomposition: The spectra associated with each spaxel is decomposed with a 1D wavelet transform





spectral data are **not** independent of each other

2D Decomposition











Single-Step Hard & Soft Thresholding



$$\mathcal{T}_{\mathrm{hard}}(\alpha,\lambda) = \begin{cases} lpha, & \mathrm{if} \ |lpha| \ge \lambda \\ 0, & \mathrm{if} \ |lpha| < \lambda \end{cases}$$

 $\mathcal{T}_{\text{soft}}(\alpha,\lambda) = \text{sign}(\alpha) \cdot \max(|\alpha| - \lambda, 0)$





Re-weighted Iterative Soft Thresholding



The residual is wavelet-transformed, and the final learned weights from the reweighting phase are applied to perform weighted soft thresholding on the residual coefficients. The resulting denoised residual is reconstructed and added to the previous output

In subsequent iterations, weights are **calculated** as a function of the closeness of the coefficient magnitudes of the previous iteration to the threshold value

$$W_{ij}^{(n)} = \begin{cases} \frac{\lambda \sigma_{\alpha^{(n-1)}}}{|\alpha_{ij}^{(n-1)}| + \epsilon}, & \text{if } |\alpha_{ij}^{(n)}| \ge \lambda \\ 1, & \text{otherwise} \end{cases}$$

Re-weighted thresholding is applied in the next iteration after a gradient step, which pushes the data closer to the input

Coefficients that are closer to the threshold are thresholded more **aggressively** (higher *w*) and shrunken more towards 0 and the remaining coefficients are shrunken less

$$\boldsymbol{X}^{(n)} = \operatorname{prox}_{\max} \left(\boldsymbol{\Phi} \left(\boldsymbol{\mathcal{T}}_{\lambda, \mathcal{W}^{(n-1)}} \left(\boldsymbol{\Phi}^T \boldsymbol{Y} \right) \right) \right)$$
$$\boldsymbol{X}^{(n+1)} = \operatorname{prox}_{\max} \left(\boldsymbol{X}^{(n)} + \boldsymbol{\Phi} \left(\boldsymbol{\mathcal{T}}_{\lambda, \mathcal{W}^{(\text{final})}} \left(\boldsymbol{\Phi}^T (\boldsymbol{Y} - \boldsymbol{X}^{(n)}) \right) \right) \right)$$

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U-Net3D Architecture

PUNCH IT CHEWIE, Let's make the jump to light mode

RMSE reduction & Flux conservation

• PCA & ICA:

- RMSE ratio after denoising remains close to 1 almost no noise suppression.
- Flux appears well-conserved, but mainly because noise is not effectively removed — giving a misleading impression of good performance.
- Ineffective for correlated 3D noise in spectral cubes.

• 2D1D IST:

- RMSE reduced by ~40-50% Significant noise reduction compared to PCA/ICA.
- Flux is underestimated at very low SNRs (due to conservative thresholding) but improves as SNR increases.
- Better balance between noise suppression and signal preservation thanks to its multi-scale representation.

• U-Net3D-64:

- Best overall performance: RMSE reduced by ~80% Superior noise suppression even at low SNRs.
- Flux conservation is excellent for **resolved** sources.
- For unresolved sources at very low SNR, U-Net tends to overestimate flux by ~5-10%, which improves at higher SNRs. Likely due to the U-Net learning to recover compact signal patterns more aggressively than real emission.

Spectral Feature Retention

LOS Velocity (km/s)

• U-Net3D-64:

For both resolved and unresolved sources, even at low peak-SNR, the Unet is able to recover accurate spectral structures, and model kinematic features, getting better for high peak-SNR.

2D1D-IST-5 σ Noisy ---- Ground Truth

Peak SNR = 6Peak SNR = 8·1.0 Elax B.0 -0.6 Aperture 0.4 -0.2 0.0 1.2 -1.0 Flux -0.8 Aperture -0.6 0.4 -0.2 0.0 -200 200 200 -200 0 0 LOS Velocity (km/s) LOS Velocity (km/s)

• 2D1D IST:

For both resolved and unresolved sources, reconstruction is poor at low peak-SNRs, but for higher peak-SNR, compact spectral shape of unresolved source is well preserved. For resolved, the shape is recovered at low peak-SNRs, but the overall spectrum (especially in channels with low flux) are not accurately recovered.

Deep learning challenges: Hallucinations

Ground Truth

Noisy Slice

U-Net3D-64

O AstroDendro Mask on Ground Truth

Identified Hallucination

П

Jy/beam			
		×10 ⁻³	
-2.316	1.637	5.589	

Peak SNR = 5

		×10 ⁻³
-1.889	1.906	5.702

Peak SNR = 6

	×10 ⁻³
2.677	6.064
	2.677

Noisy Cubes

Jy/beam

-3.598 0.882 5.362

Application of methodology to FIRE mock IFU & W2246 CII IFU

6.938

8.673 ×**10⁻³**

• FIRE Mock IFU

- The RMSE ratio for both U-Net and 2D1D Wavelet-IST show expected trends.
- The flux conservation trends are in line with what is expected for an unresolved central galaxy in the toy cubes. Flux is very well estimated for higher peak-SNRs but for low peak-SNRs there is an overestimation of flux by ~ 10-15%
- U-Net trained completely on toy cubes show promising generalisation to cubes with sophisticated modelling in cosmological simulations

• W2246 *CII* IFU

- The RMSE and flux conservation trends are similar to the previous case and what is expected for unresolved central galaxy BUT:
 - The total flux as a whole is underestimated in this case, despite systematic overestimation at low peak-SNRs
 - W2246 has significant diffuse emission and faint morphological features - tidal tails, bridges - no priors on the U-Net as it is trained on toy cubes
- U-Net trained completely on toy cubes show promising results as it is able to recover at least >50% of the total flux of a real ALMA observed high-redshift galaxy!

Conclusions

- **Developed a multi-tiered evaluation framework**: from synthetic toy cubes \rightarrow FIRE simulations \rightarrow real ALMA (*W2246–0526*).
- Created configurable toy datasets with controlled morphologies & **noise**, ideal for training & benchmarking denoisers.
- Benchmarked 4 methods (PCA, ICA, 2D1D-Wavelet-IST, 3D U-Net) — highlighting their strengths & weaknesses:
 - **PCA/ICA**: limited; fail at noise suppression in low SNR.
 - Wavelet-IST: robust, interpretable, preserves flux well in mediumhigh SNR, struggles with faint diffuse emission.
 - **3D** U-Net: best overall performance; recovers structure even in low SNR, generalizes to real data — but tends to hallucinate features & overestimate flux in some cases.
- Demonstrated that our toy dataset is powerful for training deep denoisers and can serve as a robust first stage in transfer learning.

Future work: • Use more realistic priors in training set (e.g., feedback & dust). Develop uncertainty-aware & probabilistic denoisers to quantify confidence. **Combine wavelets & deep learning** (e.g., Learnlets) for hybrid methods. Incorporate regularization & loss terms to reduce flux bias & hallucinations. • Implement hallucination detection & statistical uncertainty bounds (e.g., quantile regression and conformal predictions).

> (& thank you for your time)

