



# Heavy Flavour Results from the ATLAS Experiment

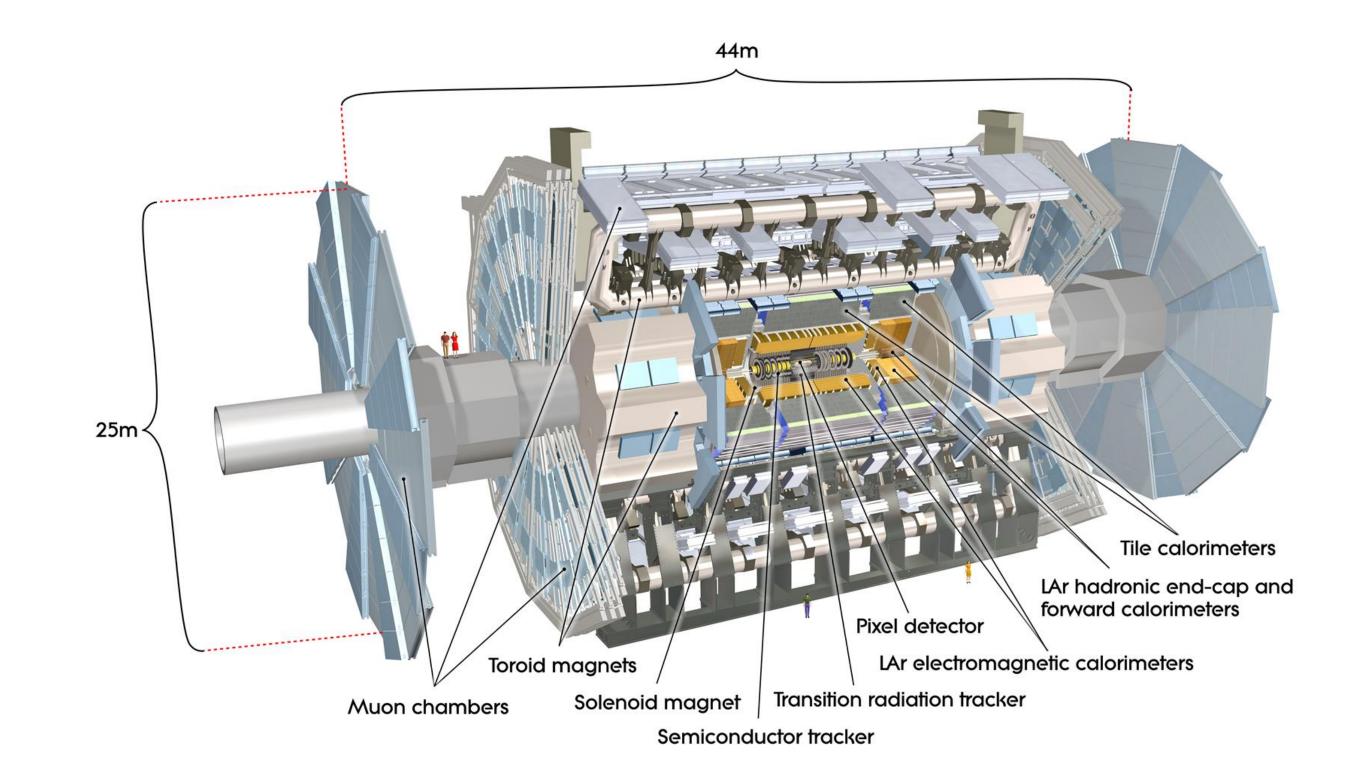
> Yes, ATLAS also does Flavour Physics!

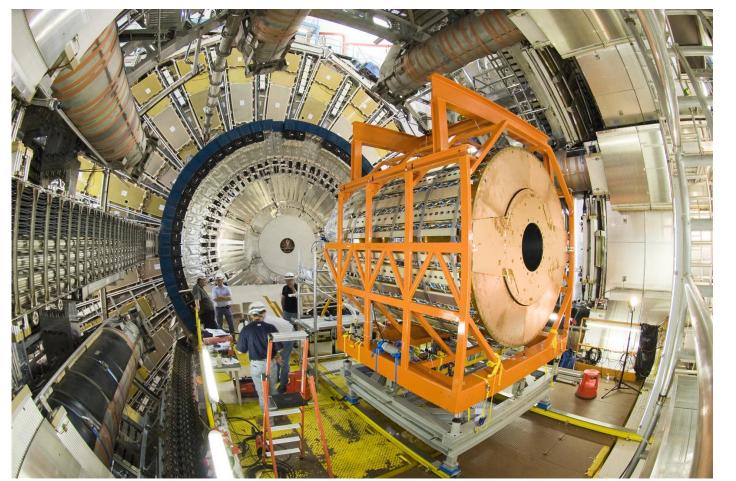
Dominic Jones on behalf of the ATLAS Collaboration

Vietnam Flavour Physics Conference 2025

### Introduction

- This talk will cover two recent heavy flavour results from the ATLAS Experiment:
  - Precision measurement of the  $B^0$  lifetime EPJC 85 (2025) 736
  - Differential Cross-section measurements of  $D^\pm$  and  $D_s^\pm$  production JHEP 07 (2025) 86
- ATLAS is a hermetic, general purpose detector designed to measure a wide range of particle physics phenomena at the LHC
- Most relevant parts of ATLAS for B-physics measurements are the Inner Detector (ID) and Muon Spectrometer (MS)
  - ID allows precise reconstruction of charged tracks for  $|\eta| < 2.5$
  - MS further improves muon reconstruction and triggering on muons, covers  $|\eta| < 2.7$







**Inner Detector** 

Muon Spectrometer

## Precision Measurement of $B^0$ Lifetime

EPJC 85 (2025) 736

### Precision Measurement of $B^0$ Lifetime

- Studies of B-hadron lifetimes test our understanding of the Weak Interaction and can be used to test New Physics models
- Measured Lifetime can be converted to decay width,  $\Gamma_d$ , which can be compared with theoretical predictions from the **Heavy Quark Expansion (HQE)**
- The new result by ATLAS is the most precise measurement to date of the  $B^0$ lifetime
- See CERN Courier article (p. 15) and LHC-seminar

#### A new record for precision on B-meson lifetimes

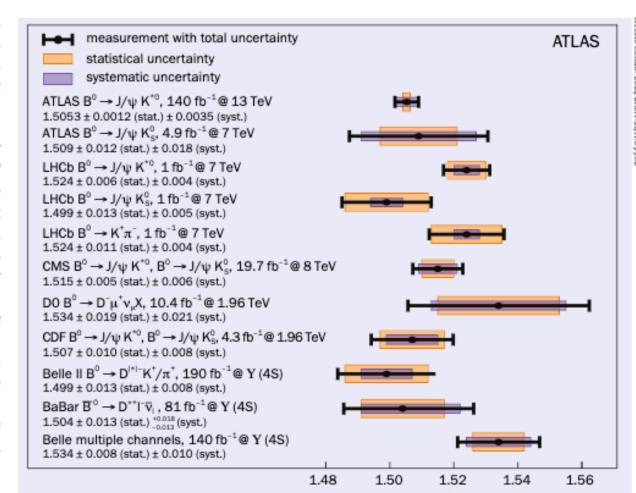
As direct searches for physics beyond the Standard Model continue to push frontiers at the LHC, the b-hadron physics sector remains a crucial source of insight for testing established theoretical models.

The ATLAS collaboration recently published a new measurement of the B° lifetime using  $B^{\circ} \rightarrow J/\psi K^{*\circ}$  decays from the entire Run-2 dataset it has recorded at 13 TeV. The result improves the precision of previous world-leading measurements by the CMS and LHCb collaborations by a factor of two.

Studies of b-hadron lifetimes probe our understanding of the weak interaction. The lifetimes of b-hadrons can be systematically computed within the heavy-quark expansion (HQE) framework, where b-hadron observables are expressed as a perturbative expansion in inverse powers of the b-quark mass.

ATLAS measures the "effective" B lifetime, which represents the average decay time incorporating effects from mixing and CP contributions, as  $\tau(B^{\circ}) = 1.5053 \pm$ 0.0012(stat.) ± 0.0035(syst.) ps. The result is consistent with previous measurements published by ATLAS and other experiments, as summarised in figure 1. It also aligns with theoretical predictions from HQE and lattice QCD, as well as with the experimental world average.

The analysis benefitted from the large Run-2 dataset and a refined trigger selection, enabling the collection of an extensive sample of 2.5 million  $B^{\circ} \rightarrow J/\psi K^{*\circ}$ decays. Events with a J/ψ meson decaying into two muons with sufficient transverse momentum are cleanly identified in the ATLAS Muon Spectrometer by the first-level hardware trigger. In the nextlevel software trigger, exploiting the full detector information, these muons are



A comparison of the current ATLAS result for the B° lifetime with the previous ATLAS result in the  $B^{\circ} \rightarrow J/\psi K_{s}^{\circ}$  channel, and with those from other experiments.

ured by the Inner Detector, ensuring they originate from the same vertex.

The B°-meson lifetime is determined through a two-dimensional unbinned maximum-likelihood fit, utilising the measured B°-candidate mass and decay time, and accounting for both signal and background components. The limited hadronic particle-identification capability of ATLAS requires careful model— as  $\Gamma_d/\Gamma_s = 0.9905 \pm 0.0022$  (stat.)  $\pm 0.0036$ ling of the significant backgrounds from (syst.) ± 0.0057 (ext.). The result is conother processes that produce J/ψ mesons. sistent with unity and provides a strin-The sensitivity of the fit is increased by gent test of QCD predictions, which also estimating the uncertainty of the decay- support a value near unity. time measurement provided by the ATLAS tracking and vertexing algorithms on a Further reading per-candidate basis. The resulting life- ATLAS Collab. 2024 arXiv:2411.09962. time measurement is limited by sys- ATLAS Collab. 2021 Eur. Phys. J. C 81 342.

then combined with two tracks meas- tematic uncertainties, with the largest contributions arising from the correlation between Bo mass and lifetime, and ambiguities in modelling the mass distribution.

ATLAS combined its measurement with the average decay width  $(\Gamma_s)$  of the light and heavy B.-meson mass eigenstates, also measured by ATLAS, to determine the ratio of decay widths

### Theory Prediction

• Decay width,  $\Gamma_d$ , can be computed using the Heavy Quark Expansion (HQE) framework:

$$\Gamma(\mathcal{B}_q) = \Gamma_3 + \delta \Gamma(\mathcal{B}_q)$$
 reading

### Free *b*-quark decay:

- + free of non-perturbative uncertainties
- **0** Looks like the muon decay

$$\Gamma_3 \propto \frac{G_F^2 m_b^5}{192\pi^3} V_{cb}^2$$

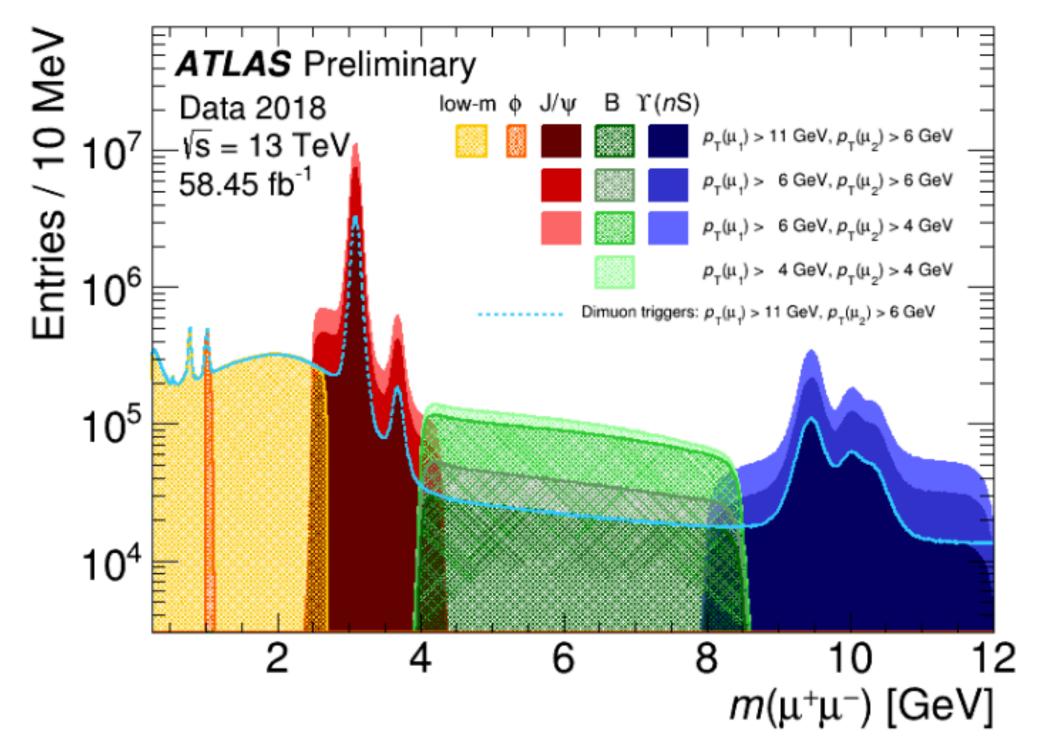
 Quark masses are difficult to define, huge dependence on definition can be reduced by higher order perturbative corrections

### Power-suppressed terms on the HQE:

- + suppressed with at least 2 powers of  $1/m_b \Rightarrow$  small
- 0 Individual contributions are products of **perturbative** Wilson coefficients and **non-perturbative matrix elements** (determined with lattice-QCD, sum rules and/or from fits of experimental data of inclusive semi-leptonic decays  $V_{cb}$ )
- Relatively large uncertainties on  $\Gamma_3$  term, prediction for  $\Gamma_d=0.63^{+0.11}_{-0.07}\,{\rm ps}^{-1}$  (Lenz et al.)
- Note however these large uncertainties cancel in ratios of  $\Gamma$  for different hadrons

### **Analysis Strategy**

- Uses the  $B^0 \to K^{*0} J/\psi$  with  $K^{*0} \to K^{\pm} \pi^{\mp}$  and  $J/\psi \to \mu^+ \mu^-$  channel
- Analyses the 139 fb<sup>-1</sup> of data collected between
   2015-2018 by the ATLAS Experiment
- Trigger on  $J/\psi(\to \mu\mu)$ , with muon thresholds between 11 GeV and 4 GeV (lower threshold at end of LHC fills) and two opposite sign tracks
- Reconstruct  $B^0$  candidates using ID + MS information for Muons and matching ID tracks for Kaons and Pions (no general Kaon/Pion PID in ATLAS)
- Fit to common vertices in turn for each of the  $K^{*0}$ ,  $J/\psi$  and  $B^0$
- Minimal selection requirements so as not to bias the decay time distributions



Invariant mass distribution of offline selected dimuon candidates, colours indicate trigger passed

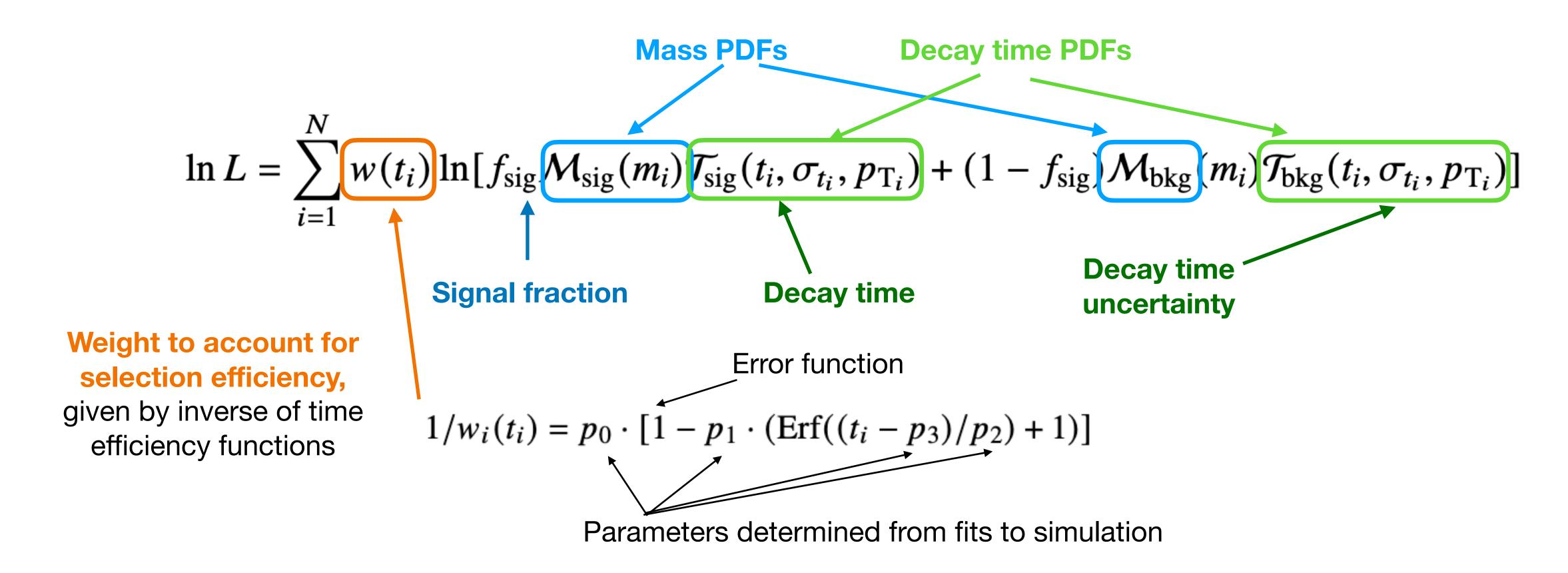
The proper decay time for each candidate is determined as

$$t = \frac{L_{xy}m_B}{p_{T_R}}$$

where  $L_{\!\scriptscriptstyle {\chi_{\scriptscriptstyle V}}}$  is the transverse decay length

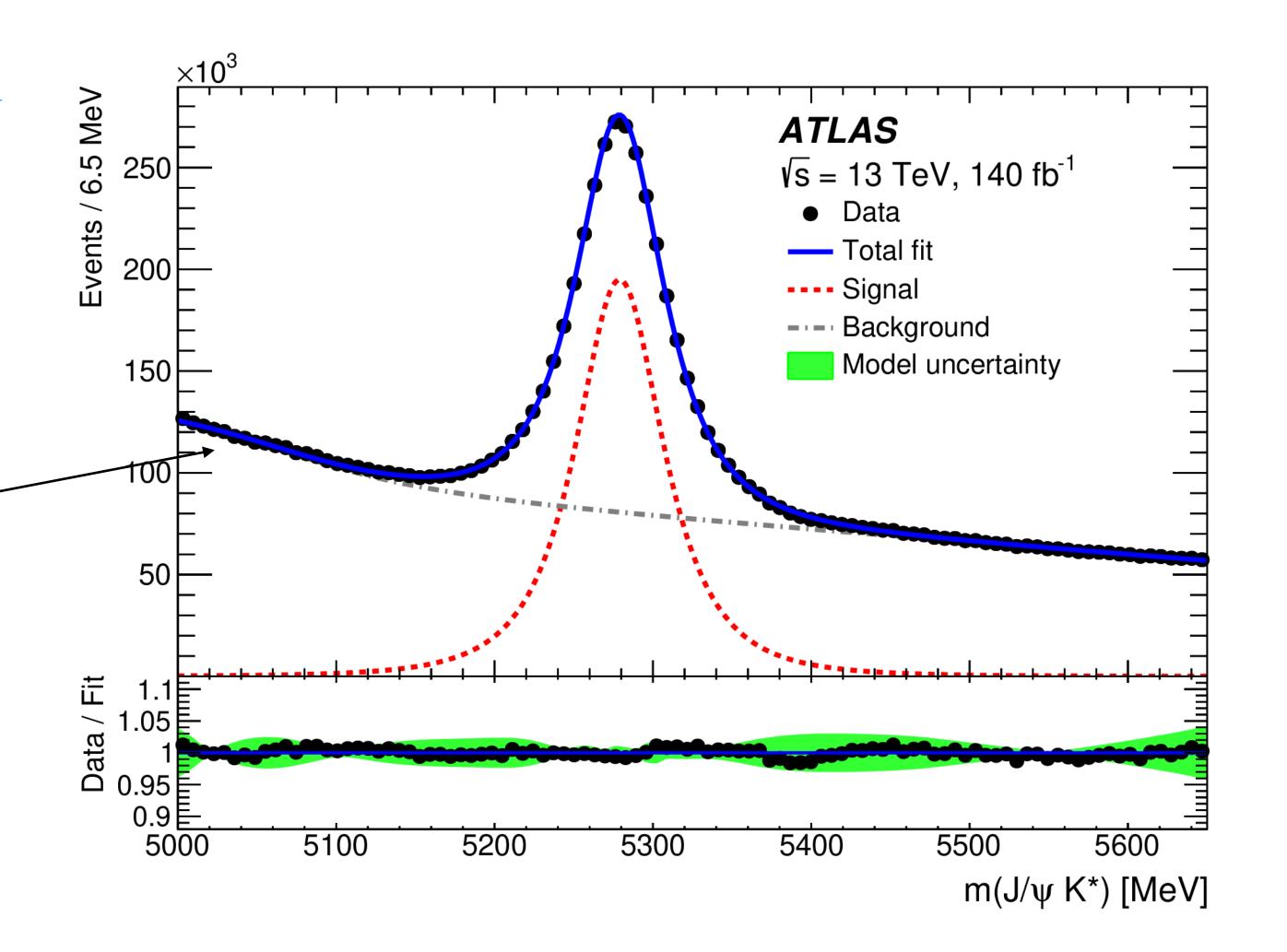
### Analysis Strategy (cont.)

 $B^0$  Lifetime is extracted from a 2D maximum likelihood fit in the B-candidate invariant mass and decay time



### Invariant Mass Distribution

- Signal is modelled by Johnson  $S_U$  -distribution
- Background modelled by polynomial + sigmoid function
  - Sigmoid helps to describe contribution from partially reconstructed B-mesons at lower mass values
- 2,450,500  $\pm$  2400  $B^0 \rightarrow J/\psi K^{*0}$  signal candidates

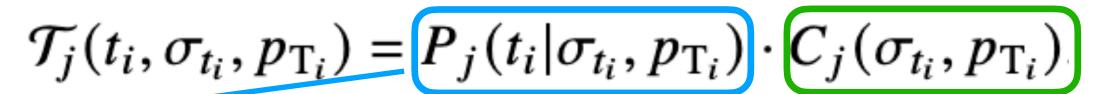


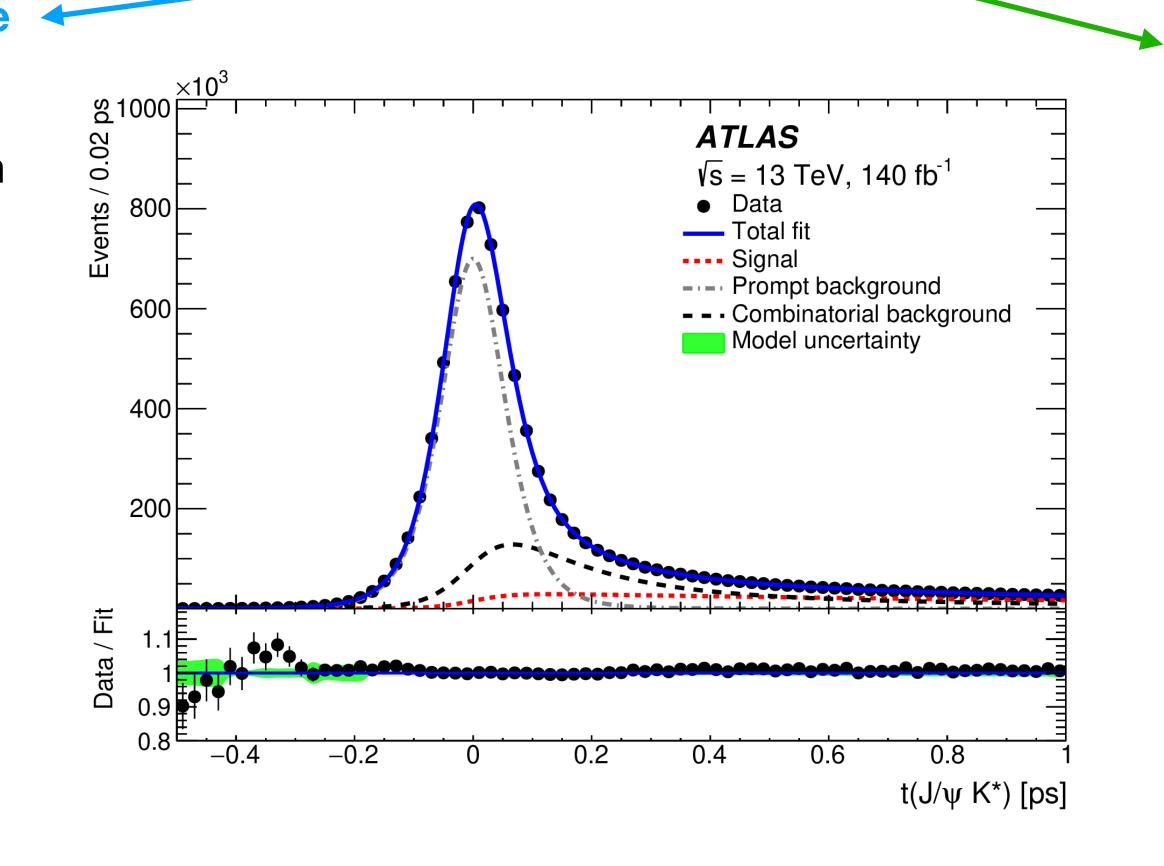
### Decay Time Distribution

Decay time PDF split into two parts:

Functions describing the decay time distribution:

- Signal decay time modelled as an exponential convolved with resolution function, which is the sum of three Gaussian distributions
- Background split into 'prompt' and combinatorial components
  - Prompt part modelled by resolution function
  - Combinatorial by the sum of three exponentials convolved with resolution function





Probability terms - 2D distributions, account for the differences between signal and background for per candidate  $\sigma_{t_i}$  and  $p_{T_i}$  values (see G. Punzi)

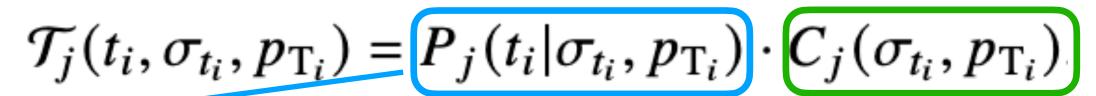
• Distributions for  $\sigma_{t_i}$  extracted from data via the sPlot method, using invariant mass distribution as control variable

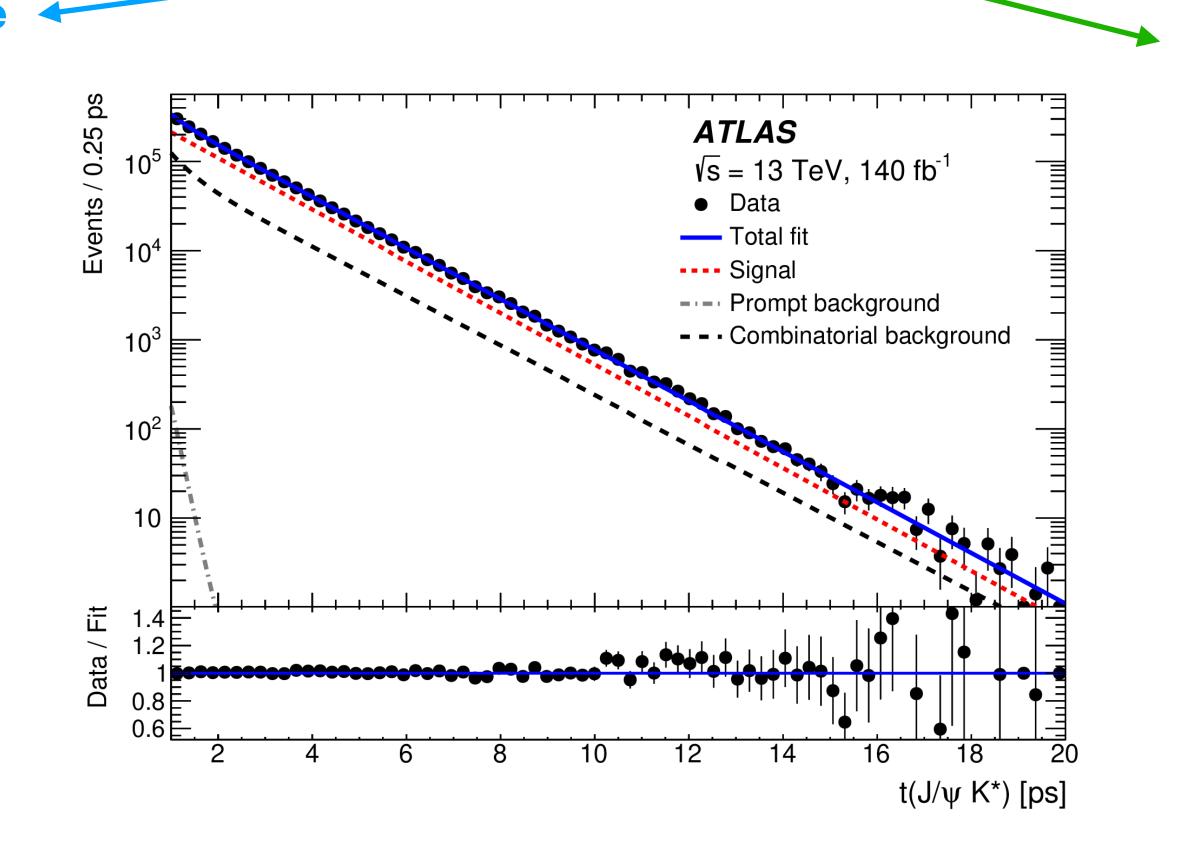
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### Systematic Uncertainties

#### **ID** misalignment

effectively removed by constraining mass of  $J/\psi$  candidates to PDG value - assess uncertainty by removing constraint. Also assess momentum scale bias effecting low  $p_T$  hadrons

Test alternative PDFs for signal and background components and inclusion of additional processes with misidentified for missing tracks

Source of uncertainty	Systematic uncertainty [ps]	Test alternative time
ID alignment	0.00108	efficiency functions
Choice of mass window	0.00104	
Time efficiency	0.00135	
Best-candidate selection	0.00041	Studied using signal MC
Mass fit model	0.00152	and sideband data
Mass-time correlation	0.00229	
Proper decay time fit model	0.00010	
Conditional probability model	0.00070	Test alternative PDFs
Fit model test with pseudo-experiments	0.00002	
Total	0.0035	

Test different choices of binning and smoothing

methods

Statistical uncertainty: 0.0012 ps

### Results

Measure  $\tau_{B^0} = 1.5053 \pm 0.0012 \text{(stat.)} \pm 0.0035 \text{(syst.)} \text{ps}$ 

• Most precise measurement to date, differs from <u>2024</u> <u>PDG World average</u> by  $2.1\sigma$ 

Using HFLAV values, convert this into average  $B_{\boldsymbol{d}}$  decay width of:

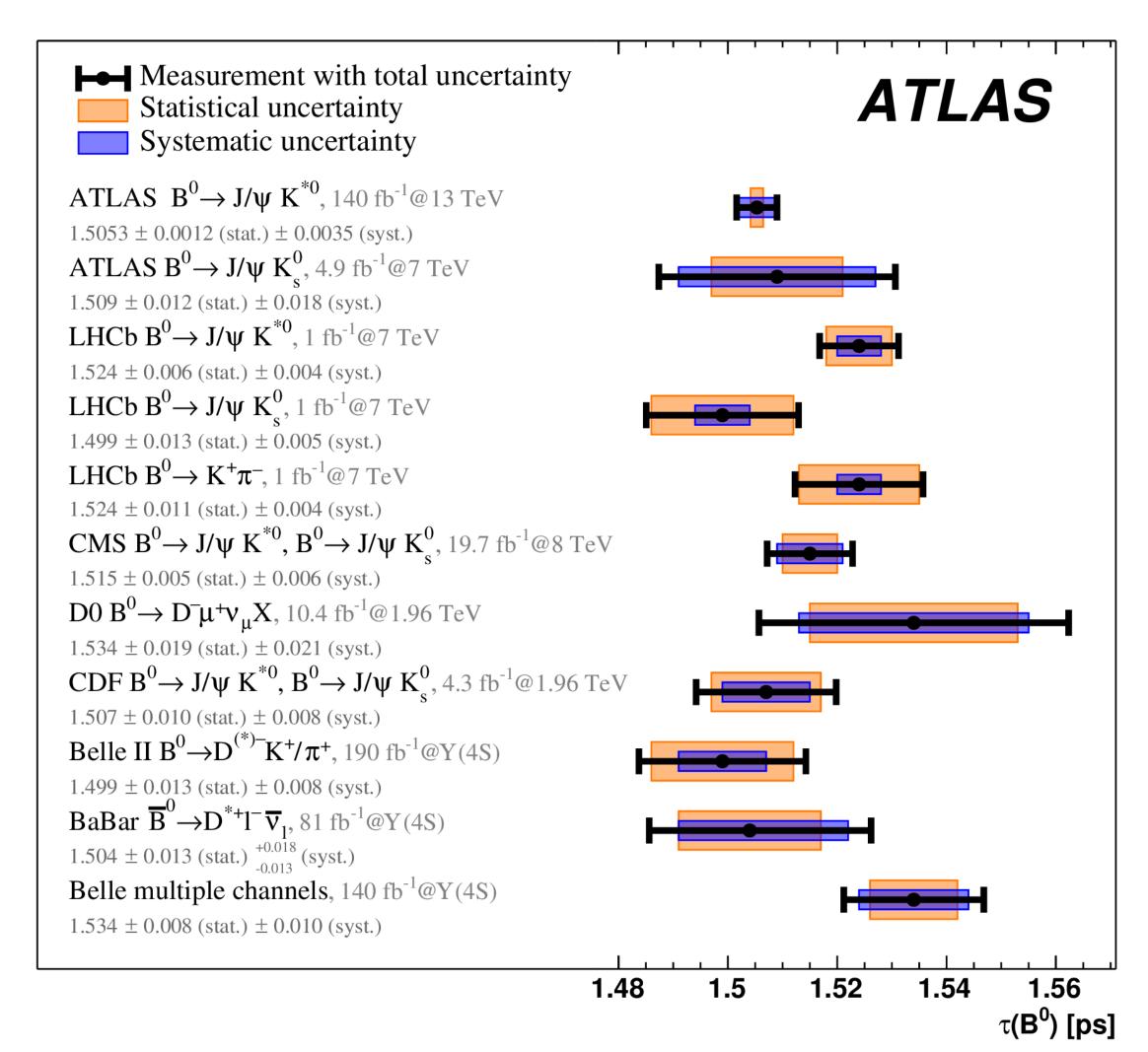
$$\Gamma_d = 0.6639 \pm 0.0005 (\mathrm{stat.}) \pm 0.0016 (\mathrm{syst.}) \pm 0.0038 (\mathrm{ext.}) \mathrm{ps}^{-1}$$

• Agrees with HQE theory prediction of  $0.63^{+0.11}_{-0.07}\,\mathrm{ps}^{-1}$ 

Additionally, use previous ATLAS study of  $B_s \to J/\psi \phi$  decays in which  $\Gamma_s$  was measured to compute the ratio

$$\frac{\Gamma_d}{\Gamma_s} = 0.9905 \pm 0.22 \text{(stat.)} \pm 0.0036 \text{(syst.)} \pm 0.0057 \text{(ext.)}$$

• Agrees with HQE (1.003  $\pm$  0.006) and lattice QCD (1.00  $\pm$  0.02) predictions

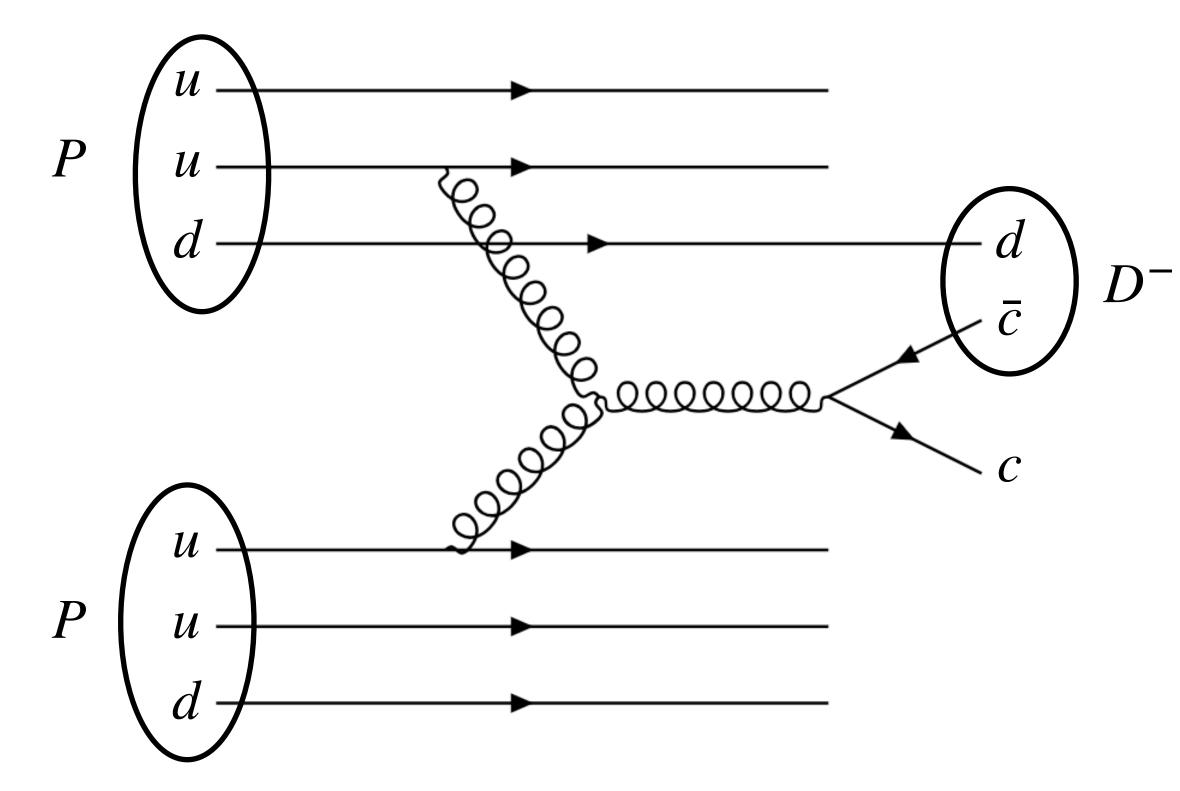


## $D^{\pm}$ and $D_{\rm S}^{\pm}$ Production cross-sections

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## $D^{\pm}$ and $D_{\scriptscriptstyle S}^{\pm}$ Production cross-sections

- Measuring the production of heavy hadrons at the LHC is important for testing QCD
- Current theoretical uncertainties are large due to quark masses being close to energy scale of hard scatter
- New result provides measurement of  $D^\pm$  and  $D_s^\pm$  inclusive and differential cross-sections in  $p_T$  and  $\eta$ , for first time in ATLAS at  $\sqrt{s}=13~{\rm TeV}$
- Measurements compared with predictions from <u>GM-VFNS</u> and <u>FONLL</u> models (setup described in <u>previous ATLAS result</u>)



GM-VFNS = General-mass variable-flavournumber scheme

**FONLL** = Fixed-order next-to-leading-logarithm

### **Analysis Strategy**

- Using the  $D_{(s)}^{\pm} \to \phi \pi^{\pm}$  decay channel with  $\phi \to \mu^+ \mu^-$  and the data collected between 2016 and 2018
- Trigger using the muons from  $\phi \to \mu^+ \mu^-$ ,  $p_T$  thresholds of at least 11-6 (6) GeV on the leading (sub-leading) muon
- Reconstruct the decay vertex using Inner
  Detector (ID) + Muon Spectrometer info for the
  muons and assign additional ID track to the Pion
- Separation between primary and secondary vertices used to reject backgrounds
- Selection prioritises prompt  $D_{(s)}^\pm$  production but both prompt and non-prompt  $D_{(s)}^\pm$  mesons are considered as signal

#### Selection

Muon objects
Track object
Transverse momentum
Opposite charge muons
Total charge
Di-muon invariant mass  $L_{xy}$  significance  $a_{xy}^0$  significance
Vertex p-value
Highest vertex p-value

Two muons satisfying the *Loose* working point One track satisfying the *Loose* working point

$$p_{\mathrm{T}}^{\mu} > 6 \, \mathrm{GeV}, \, p_{\mathrm{T}}^{\pi} > 1 \, \mathrm{GeV}$$

$$Q_{\mu_{1}} \times Q_{\mu_{2}} = -1$$

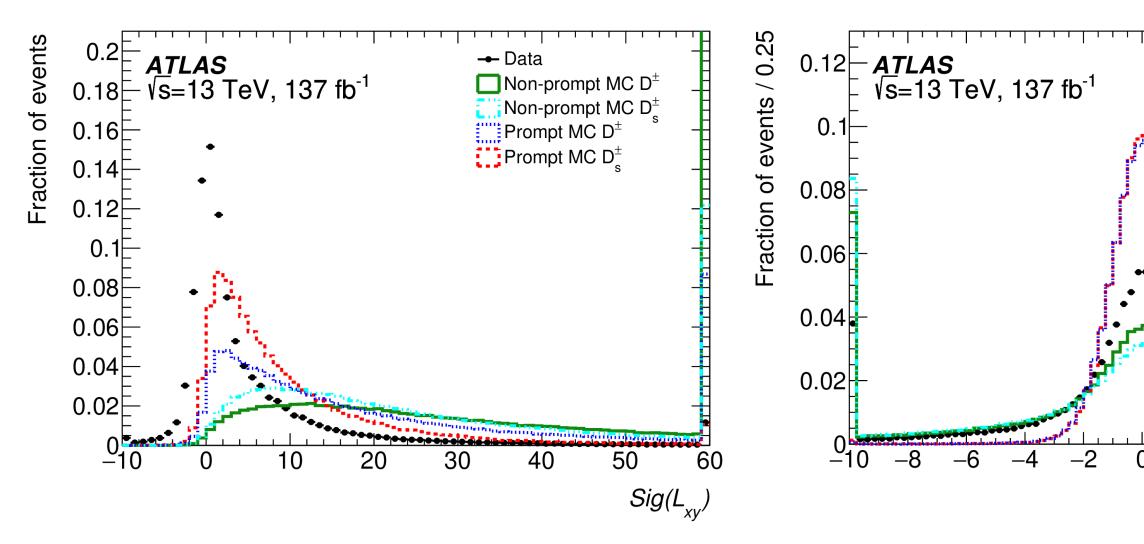
$$|Q_{\mu\mu\pi}| = 1$$

$$|m_{\mu\mu} - m_{\phi}| < \delta m(|\eta|)$$

$$\mathrm{Sig}(L_{xy}) > 3$$

$$|\mathrm{Sig}(a_{xy}^{0})| < 4$$

$$\log(p_{0}^{\mathrm{vertex}}) > -0.8$$
The vertex with  $\mathrm{Max}(p_{0}^{\mathrm{vertex}})$  in the event



 $L_{xy} = |\overrightarrow{L}_T| \cos(\theta_{xy}), \ a_{xy}^0 = |\overrightarrow{L}_T| \sin(\theta_{xy})$  where  $\overrightarrow{L}$  is the vector connecting the PV and SV in transverse plane and  $\theta_{xy}$  is the angle between  $\overrightarrow{L}_T$  and the  $p_T$  of the  $\mu\mu\pi$  system

 $Sig(a_{xy}^0)$ 

 $\square$  Non-prompt MC  $\mathsf{D}^{\!\pm}$ 

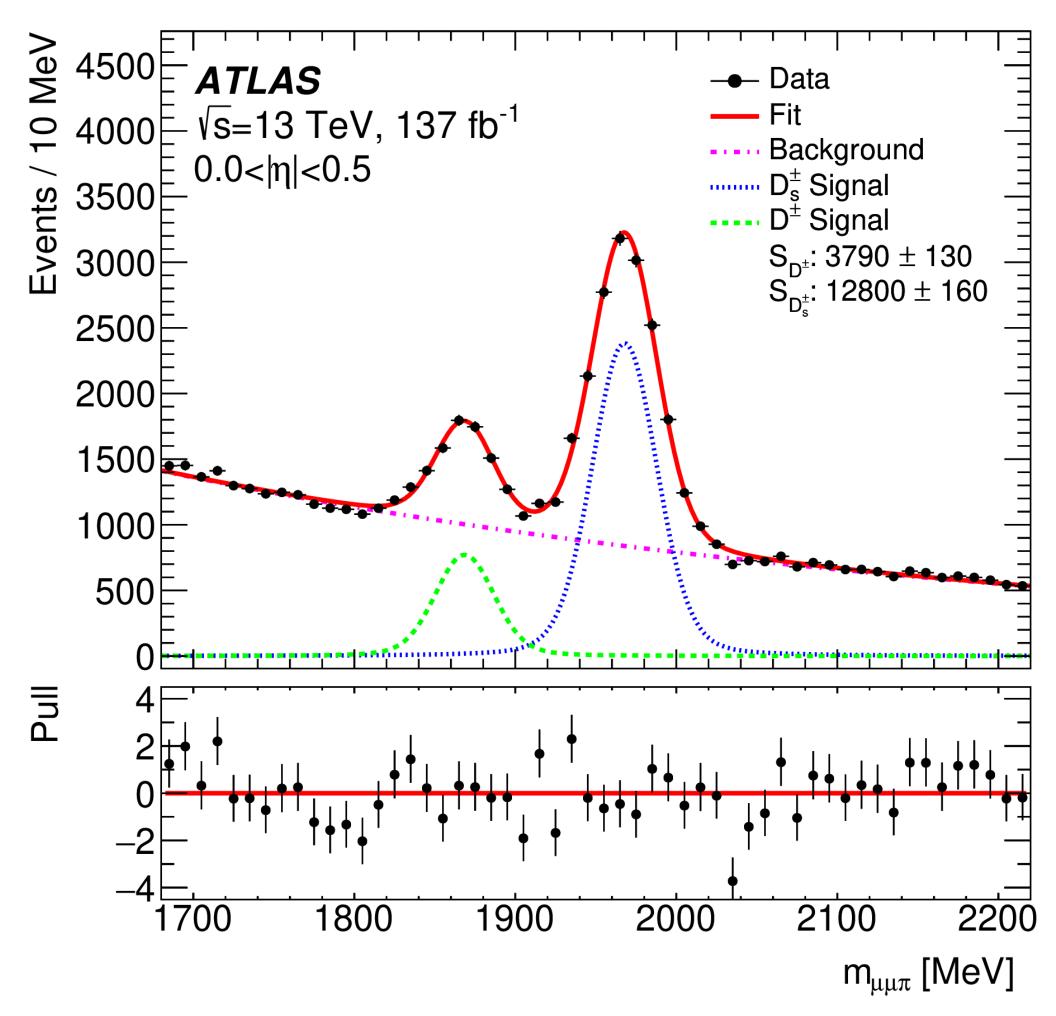
Prompt MC D<sup>±</sup>

Prompt MC D<sup>±</sup>

Non-prompt MC D<sup>±</sup>

### **Analysis Strategy**

- Signal yields are extracted from fits to the  $\mu\mu\pi$  invariant mass in bins of  $p_T$  and  $\eta$
- Mass fit model consists of Voigtian (Breit-Wigner \* Gaussian) distributions for each of the  $D^\pm$  and  $D_s^\pm$  signals and a quadratic exponential distribution for the background
- Monte Carlo (MC) simulation is used to compute the relative efficiency per bin
  - MC  $p_T$  and  $\eta$  distributions are corrected to match signal shape from data
- Shapes in general extracted from fits to data but simultaneous fits with MC used for some bins to improve fit stability

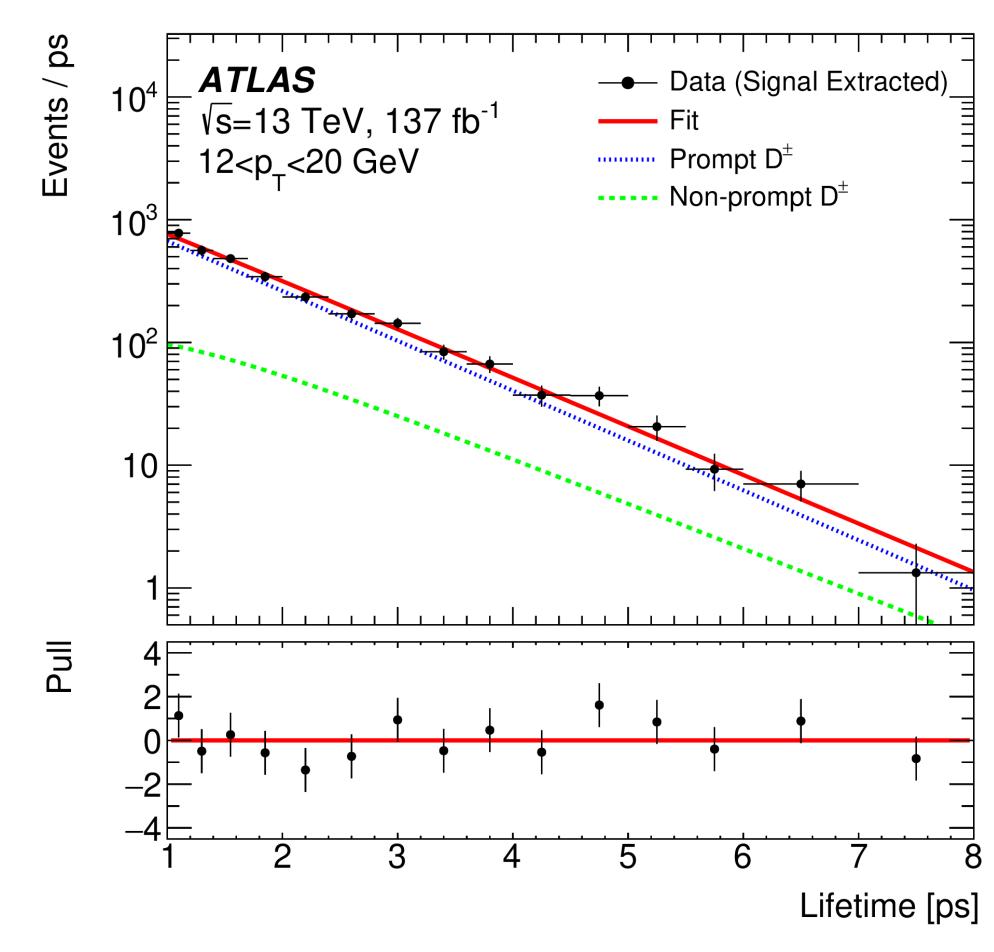


Example Invariant Mass fit for  $0<|\eta|<0.5$ 

### Non-prompt Fraction Correction

Fraction of prompt to non-prompt  $D_{(s)}^{\pm}$  production in MC simulations is corrected from fits to the proper decay time:

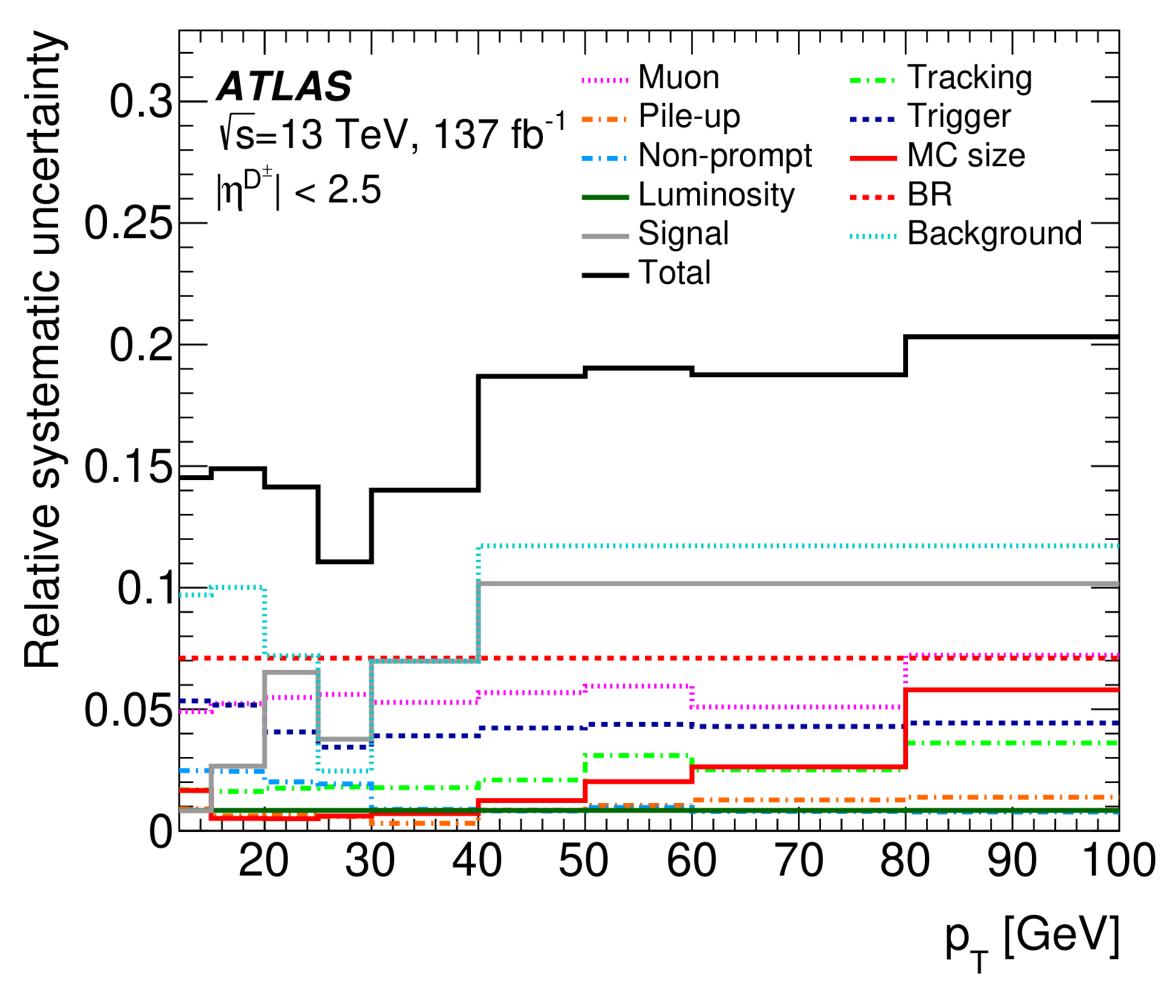
- Invariant mass fits are performed in bins of lifetime from which the total prompt + non prompt yield is extracted
- Templates for the prompt and nonprompt lifetime distributions derived from MC simulation are then fit to the data to extract the non-prompt fraction
- Procedure is applied separately to  $D^\pm$  and  $D_s^\pm$  in three bins of  $p_T$  ([12, 20, 30, 100] GeV)



$$\begin{split} P_{b\bar{b}}(\tau) &= \mathrm{Exp}(\tau; \tau_D^{b\bar{b}}) * \mathrm{Exp}(\tau; \tau_B^{b\bar{b}}) * \mathrm{Gauss}(\tau; \mu^{b\bar{b}}, \sigma_{\mathrm{res}}^{b\bar{b}}) * \mathrm{Erf}(\tau; \tau_{\mathrm{turn-on}}^{b\bar{b}}, \beta^{b\bar{b}}), \\ P_{c\bar{c}}(\tau) &= \mathrm{Exp}(\tau; \tau_D^{c\bar{c}}) * \mathrm{Gauss}(\tau; \mu^{c\bar{c}}, \sigma_{\mathrm{res}}^{c\bar{c}}) * \mathrm{Erf}(\tau; \tau_{\mathrm{turn-on}}^{c\bar{c}}, \beta^{c\bar{c}}). \end{split}$$

### Systematic Uncertainties

- Several sources of uncertainty are considered:
  - Detector effects (muon and track reconstruction, trigger efficiencies etc.)
  - Use of different signal and background fit models, and contributions from partially reconstructed *D*-meson decays
  - Uncertainties from prompt/nonprompt corrections are propagated into the final result
  - External Branching Ratio  $\mathscr{B}(D_{(s)}^{\pm} \to \phi(\mu\mu)\pi^{\pm})$



 $D^{\pm}$  uncertainty breakdown as a function of  $p_T$ 

### Results: Inclusive Cross-sections

 Inclusive crosssections are provided for three different p<sub>T</sub> ranges

Fiducial volume	$D^{\pm}$ inclusive fiducial cross-section at $\sqrt{s}=13\mathrm{TeV}$ [nb] ATLAS $\sigma\pm\delta_{\mathrm{stat}}\pm\delta_{\mathrm{syst}}\pm\delta_{\mathrm{BR}}$	
$12 < p_{\rm T} < 100 \text{ GeV},  \eta  < 2.5$	$10800 \pm 900 \pm 1300 \pm 800$	
$15 < p_{\rm T} < 100 \text{ GeV},  \eta  < 2.5$	$5430 \pm 550 \pm 680 \pm 390$	
$20 < p_{\rm T} < 100$ GeV, $ \eta  < 2.5$	$1930\pm160\pm220\pm140$	
Fiducial volume	$D_s^{\pm}$ inclusive fiducial cross ATLAS $\sigma \pm \delta_{\rm stat} \pm \delta_{\rm syst} \pm \delta_{\rm BR}$	ss-section at $\sqrt{s} = 13 \text{ TeV [nb]}$
$12 < p_{\rm T} < 100$ GeV, $ \eta  < 2.5$	$5000 \pm 360 \pm 470 \pm 360$	
$15 < p_{\rm T} < 100$ GeV, $ \eta  < 2.5$	$2440 \pm 190 \pm 220 \pm 180$	
$20 < p_{\rm T} < 100 \text{ GeV},  \eta  < 2.5$	$920 \pm 60 \pm 80 \pm 70$	

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### Results: Inclusive Cross-sections

- Inclusive crosssections are provided for three different p<sub>T</sub> ranges
- Good agreement with GM-VFNS and FONLL models for both  $D^\pm$  and  $D_s^\pm$ ,
- New measurements have smaller uncertainties than predictions

	$D^{\pm}$ inclusive fiducial cross-section at $\sqrt{s} = 13$ TeV [nb]			
Fiducial volume	ATLAS	GM-VFNS	FONLL	
	$\sigma \pm \delta_{\text{stat}} \pm \delta_{\text{syst}} \pm \delta_{\text{BR}}$	$\sigma \pm \delta_{ ext{theory}}$	$\sigma$ ± $\delta_{ ext{theory}}$	
$12 < p_{\rm T} < 100 \text{ GeV},  \eta  < 2.5$	$10800 \pm 900 \pm 1300 \pm 800$	$14100^{+2900}_{-2300}$	$10200^{+2300}_{-1700}$	
$15 < p_{\rm T} < 100$ GeV, $ \eta  < 2.5$	$5430 \pm 550 \pm 680 \pm 390$	$6800^{+1200}_{-1000}$	$4730^{+900}_{-700}$	
$20 < p_{\rm T} < 100 \text{ GeV},  \eta  < 2.5$	$1930\pm160\pm220\pm140$	$2480^{+350}_{-330}$	$1670^{+260}_{-220}$	

	$D_s^{\pm}$ inclusive fiducial cross-section at $\sqrt{s} = 13$ TeV [nb]		
Fiducial volume	ATLAS	GM-VFNS	
	$\sigma \pm \delta_{\rm stat} \pm \delta_{\rm syst} \pm \delta_{\rm BR}$	$\sigma \pm \delta_{ ext{theory}}$	
$12 < p_{\rm T} < 100$ GeV, $ \eta  < 2.5$	$5000 \pm 360 \pm 470 \pm 360$	5 900 <sup>+1 200</sup> <sub>-1 000</sub>	
$15 < p_{\rm T} < 100$ GeV, $ \eta  < 2.5$	$2440 \pm 190 \pm 220 \pm 180$	$2880^{+510}_{-440}$	
$20 < p_{\rm T} < 100 \text{ GeV},  \eta  < 2.5$	$920 \pm 60 \pm 80 \pm 70$	$1070^{+150}_{-140}$	

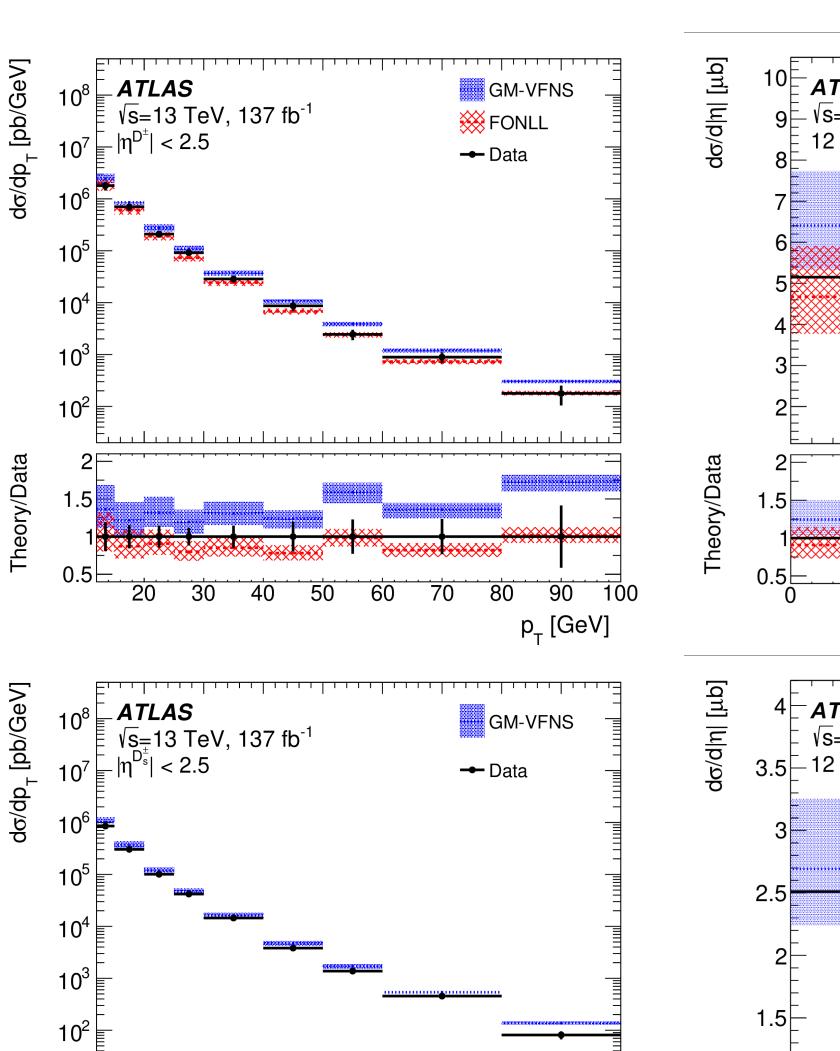
## Results: Differential Cross-sections

### For $D^{\pm}$ :

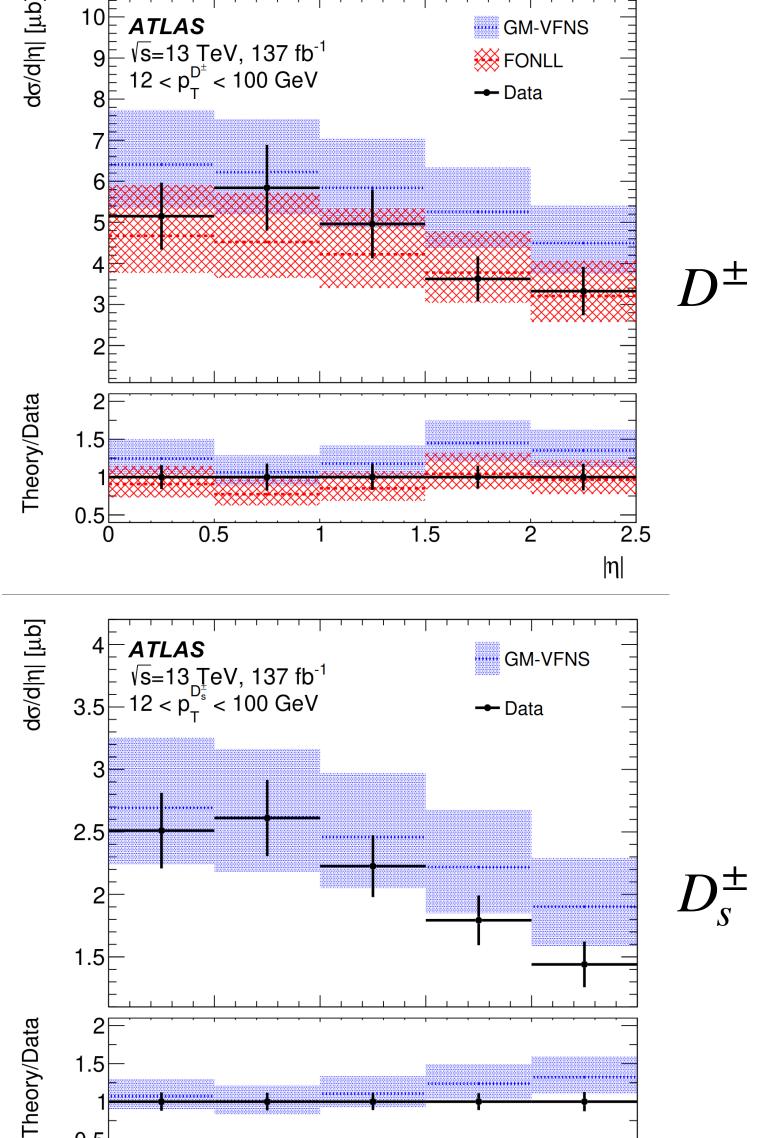
- Good agreement with both GM- VFNS and FONLL seen at low  $p_T$  and in  $\eta$
- High  $p_T$ , GM-VFNS tends to overpredict while FONLL still has good agreement

### For $D_s^{\pm}$ :

• Only GM-VFNS available - again gives good agreement at low  $p_T$  and in  $\eta$ , larger deviation at high  $p_T$ 



p<sub>T</sub> [GeV]



1.5

0.5

Theory/Da

## Comparison with ATLAS $\sqrt{s} = 7$ TeV Result

• Compared to previous ATLAS result at  $\sqrt{s} = 7$  TeV which used 2010 data

	$D^{\pm}$ inclusive fiducial cross-section [nb]
	ATLAS
	$\sigma \pm \delta_{\text{total}}$
$\sqrt{s} = 13  \text{TeV}$	$1690\pm270$
$\sqrt{s} = 7  \text{TeV}$	$888 \pm 97$
	$D_s^{\pm}$ inclusive fiducial cross-section [nb]
	ATLAS
	$\sigma \pm \delta_{\text{total}}$
$\sqrt{s} = 13  \text{TeV}$	$810 \pm 100$
$\sqrt{s} = 7  \text{TeV}$	$510 \pm 100$

## Comparison with ATLAS $\sqrt{s} = 7$ TeV Result

- Compared to previous ATLAS result at  $\sqrt{s} = 7$  TeV which used 2010 data
- Ratios between 13 TeV and 7 TeV cross sections also computed

	$D^{\pm}$ inclusive fiducial cross-section [nb]		
	ATLAS		
	$\sigma \pm \delta_{\text{total}}$		
$\sqrt{s} = 13  \text{TeV}$	$1690\pm270$		
$\sqrt{s} = 7  \text{TeV}$	$888 \pm 97$		
Ratio (13 TeV/7 TeV)	$1.9 \pm 0.4$		
	$D_s^{\pm}$ inclusive fiducial cross-section [nb]		
	ATLAS		
	$\sigma \pm \delta_{\text{total}}$		
$\sqrt{s} = 13  \text{TeV}$	$810 \pm 100$		
$\sqrt{s} = 7  \text{TeV}$	$510 \pm 100$		
Ratio (13 TeV/7 TeV)	$1.6 \pm 0.4$		

## Comparison with ATLAS $\sqrt{s} = 7$ TeV Result

- Compared to previous ATLAS result at  $\sqrt{s} = 7$  TeV which used 2010 data
- Ratios between 13 TeV and 7 TeV cross sections also computed
- Measured ratios agree with both GM-VFNS and FONLL predictions, though there is a significant difference between the two models

	$D^{\pm}$ inclusive fiducial cross-section [nb]		
	ATLAS	GM-VFNS	FONLL
	$\sigma \pm \delta_{\text{total}}$	$\sigma \pm \delta_{ ext{theory}}$	$\sigma \pm \delta_{ m theory}$
$\sqrt{s} = 13  \text{TeV}$	$1690 \pm 270$	$2200^{+310}_{-290}$	$1480^{+230}_{-190}$
$\sqrt{s} = 7  \text{TeV}$	$888 \pm 97$	$980^{+120}_{-150}$	$620^{+100}_{-80}$
Ratio (13 TeV/7 TeV)	$1.9 \pm 0.4$	$2.24 \pm 0.04$	$2.38 \pm 0.01$
$D_s^{\pm}$ inclusive fiducial cross-section [nb]			
	ATLAS	GM-VFNS	
	$\sigma \pm \delta_{\text{total}}$	$\sigma \pm \delta_{ m theory}$	
$\sqrt{s} = 13  \text{TeV}$	$810 \pm 100$	950+140	
$\sqrt{s} = 7  \text{TeV}$	$510 \pm 100$	$950^{+140}_{-130}$ $470^{+56}_{-69}$	

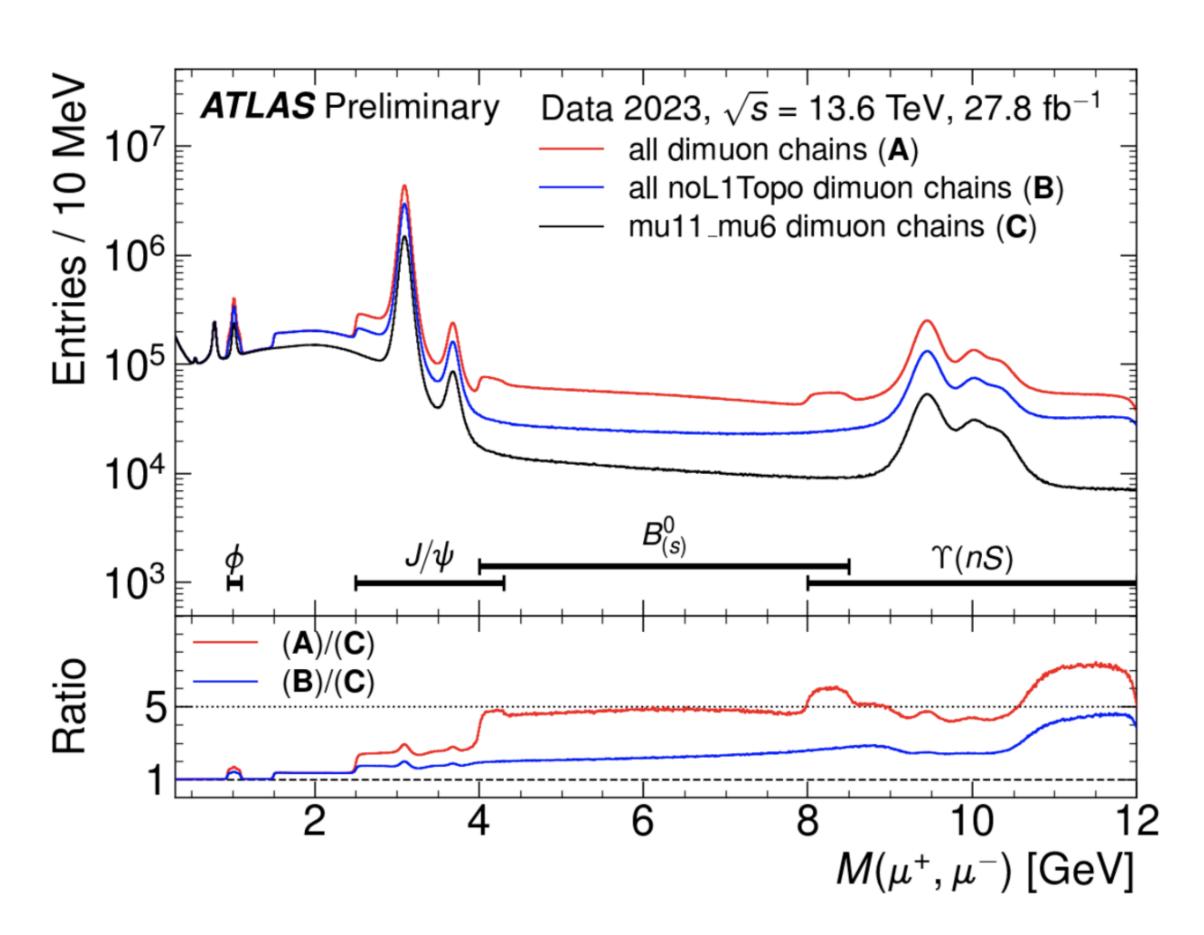
 $1.6 \pm 0.4$ 

 $2.02 \pm 0.05$ 

Ratio (13 TeV/7 TeV)

### Summary

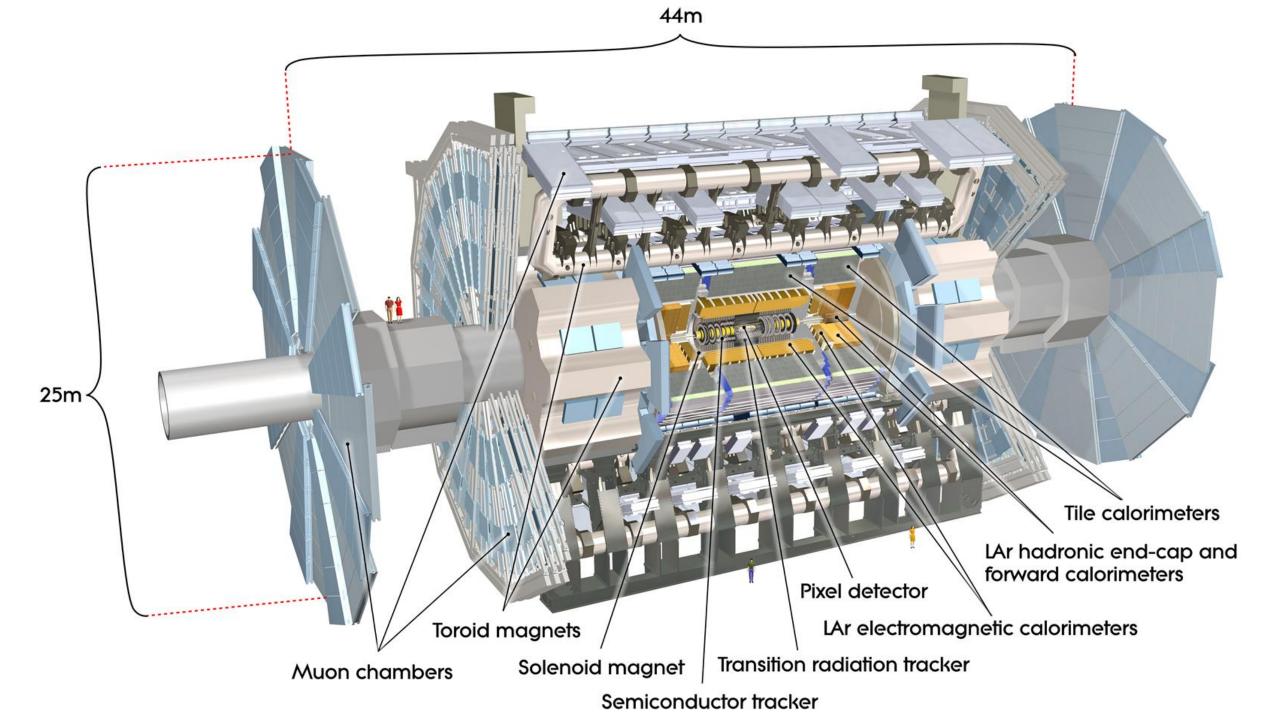
- Presented two recent Heavy Flavour
   Measurements from the ATLAS Experiment:
  - Most precise measurement of the B<sup>0</sup>
     lifetime EPJC 85 (2025) 736
  - First measurement by ATLAS of  $D_{(s)}^{\pm}$  inclusive and differential cross-sections at  $\sqrt{s}=13$  TeV JHEP 07 (2025) 86
- Both results illustrate the ATLAS experiments capability to make interesting and important flavour physics measurements
- Stay tuned for more <u>heavy flavour results</u> from ATLAS in the near future!

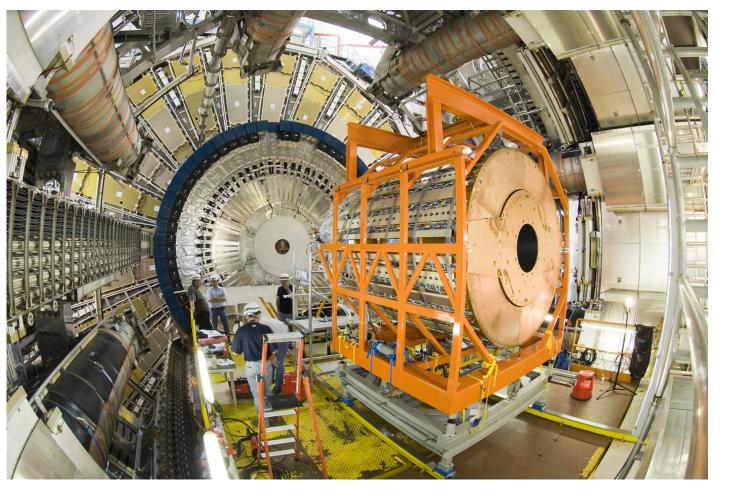


## Backup

### The ATLAS Detector

- Located around one of the four interaction points at the Large Hadron Collider at CERN
- General purpose hermetic detector, capable of measuring many different particle physics phenomena, including heavy flavour physics
- Consists of an Inner Detector (ID),
   Calorimeters and a Muon Spectrometer (MS)
- Particularly relevant for B-physics measurements are the ID and MS
  - ID allows precise reconstruction of charged tracks for  $|\eta| < 2.5$
  - MS further improves muon reconstruction and triggering on muons, covers  $|\eta| < 2.7$







### $B^0$ Lifetime -> Decay Width

The  $B^0$  lifetime  $au_{B^0}$  is related to the decay width  $\Gamma_d$  via

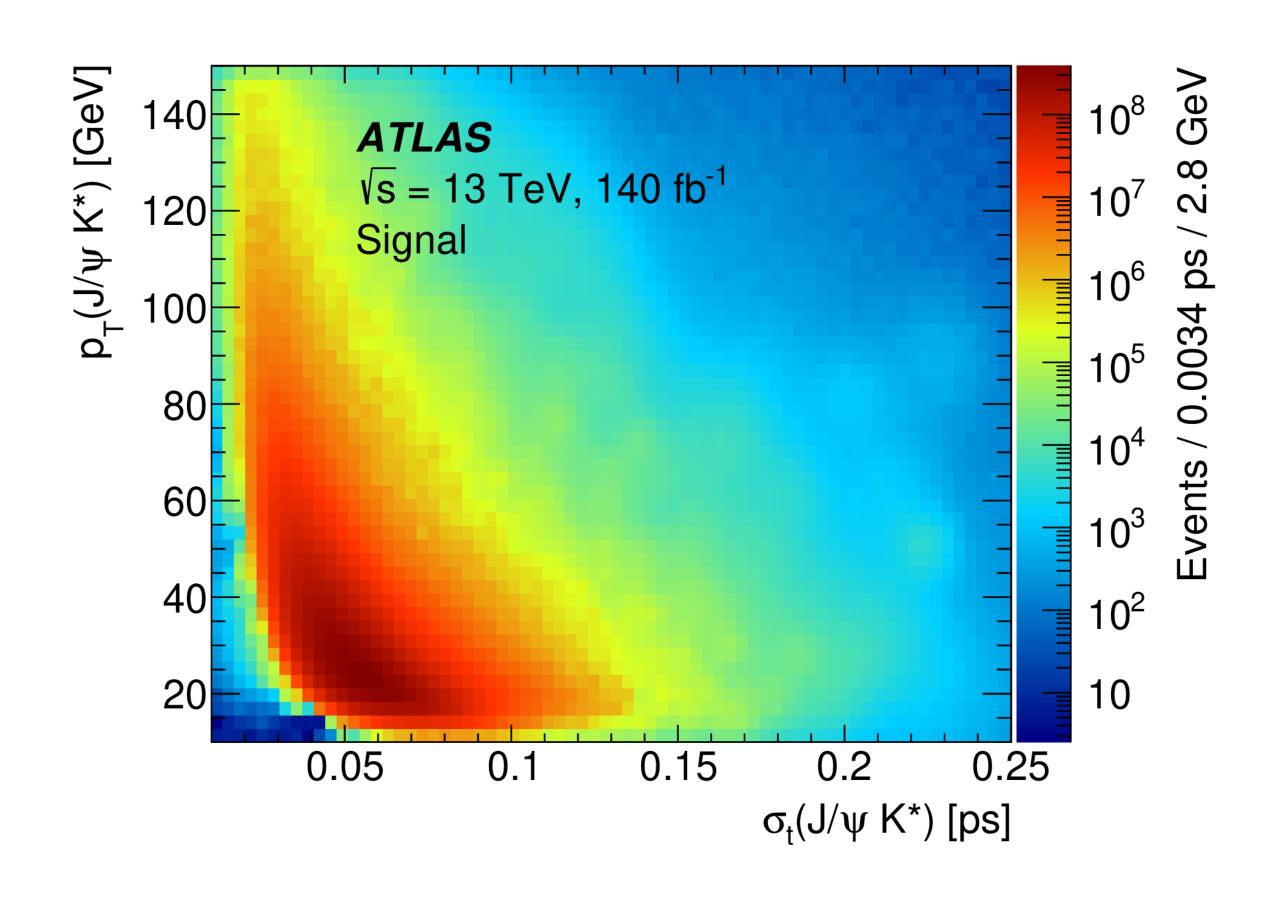
$$\tau_{B^0} = \frac{1}{\Gamma_d} \frac{1}{1 - y^2} \left( \frac{1 + 2Ay + y^2}{1 + Ay} \right)$$

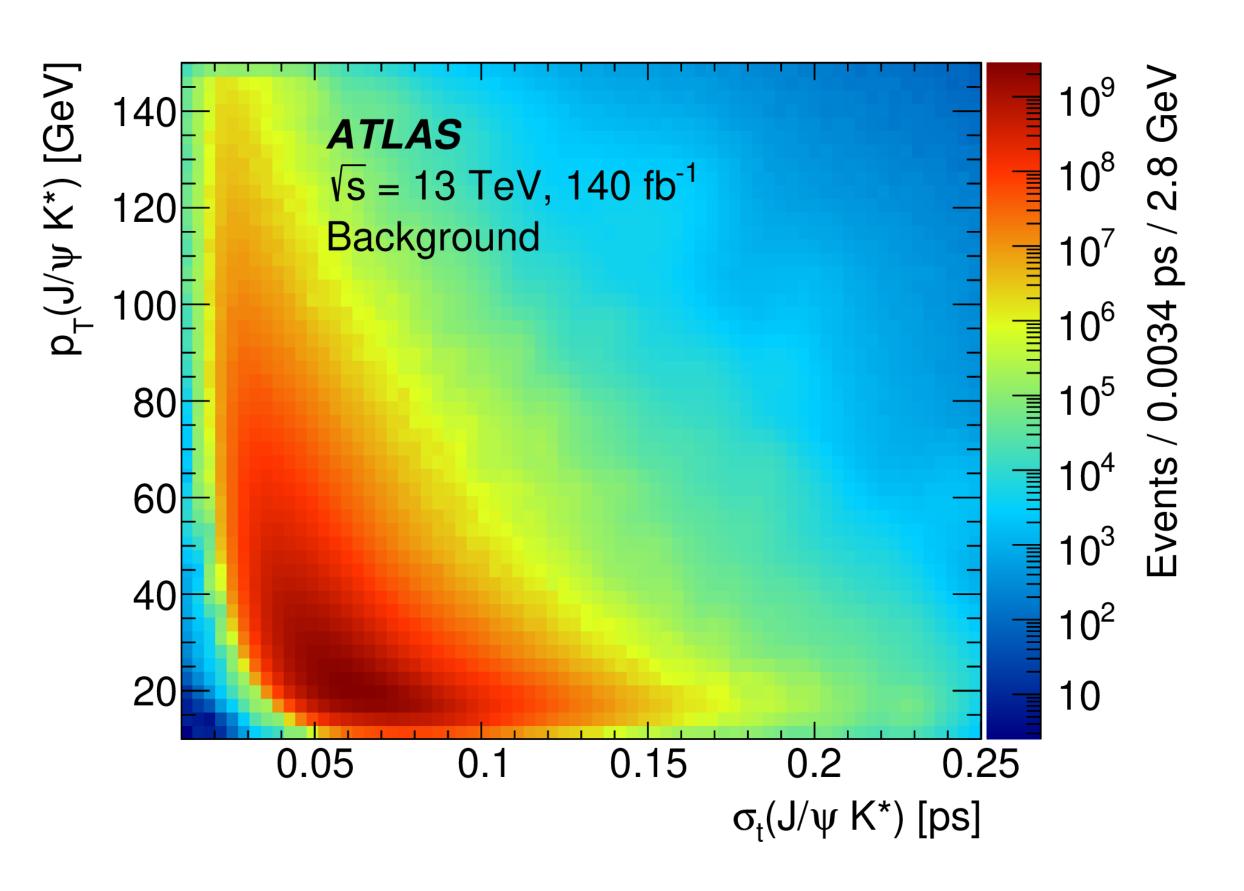
Where  $\Gamma_d=(\Gamma_L+\Gamma_H)/2$  is the average decay width of the light and heavy mass eigenstates,  $y=(\Gamma_L-\Gamma_H)/(2\Gamma_d)$  and  $A=\frac{R_H^f-R_L^f}{R_H^f+R_L^f}$  in which  $R_L^f$  and  $R_H^f$  are defined via the summed decay rate of the  $B^0-\bar{B}^0$  system to final state f:

$$\langle \Gamma(B^0(t)) \rangle = \Gamma(B^0(t)) + \Gamma(\bar{B}^0(t)) = R_H^f \exp(-\Gamma_H t) + R_L^f \exp(-\Gamma_L t)$$

Using external inputs for y and A (from <u>HFLAV 2021</u>) it is possible to measure  $\Gamma_d$  from  $au_{B^0}$ 

### $B_d^0$ Lifetime 2D Conditional Probability distributions





### $B_d^0$ Lifetime Invariant Mass Model

#### 4.1 The invariant mass PDFs

The  $\mathcal{M}_{\text{sig}}$  and  $\mathcal{M}_{\text{bkg}}$  PDFs model the  $B^0$  signal and background mass shapes, respectively, in the fitted mass range. For the signal, the mass is modelled with a Johnson  $S_U$ -distribution [47]:

$$\mathcal{M}_{\text{sig}}(m_i) = \frac{\delta}{\lambda \sqrt{2\pi} \sqrt{1 + \left(\frac{m_i - \mu}{\lambda}\right)^2}} \exp\left[-\frac{1}{2} \left(\gamma + \delta \sinh^{-1} \left(\frac{m_i - \mu}{\lambda}\right)\right)^2\right],$$

where  $\mu$ ,  $\gamma$ ,  $\delta$  and  $\lambda$  are free parameters. For the background, the mass distribution is modelled by the sum of a polynomial and a sigmoid function:

$$\mathcal{M}_{\text{bkg}}(m_i) = f_{\text{poly}}(1 + p_0 \cdot m_i) + (1 - f_{\text{poly}}) \left( 1 - \frac{s(m_i - m_0)}{\sqrt{1 + (s(m_i - m_0))^2}} \right), \tag{3}$$

### $B_d^0$ Lifetime Decay Time Model

The signal proper decay time distribution of the  $B^0$  signal candidates is modelled as an exponential function

$$P_{\text{sig}}(t_i|\sigma_{t_i},p_{T_i})=E(t',\tau_{B^0})\otimes R(t'-t_i,\sigma_{t_i}),$$

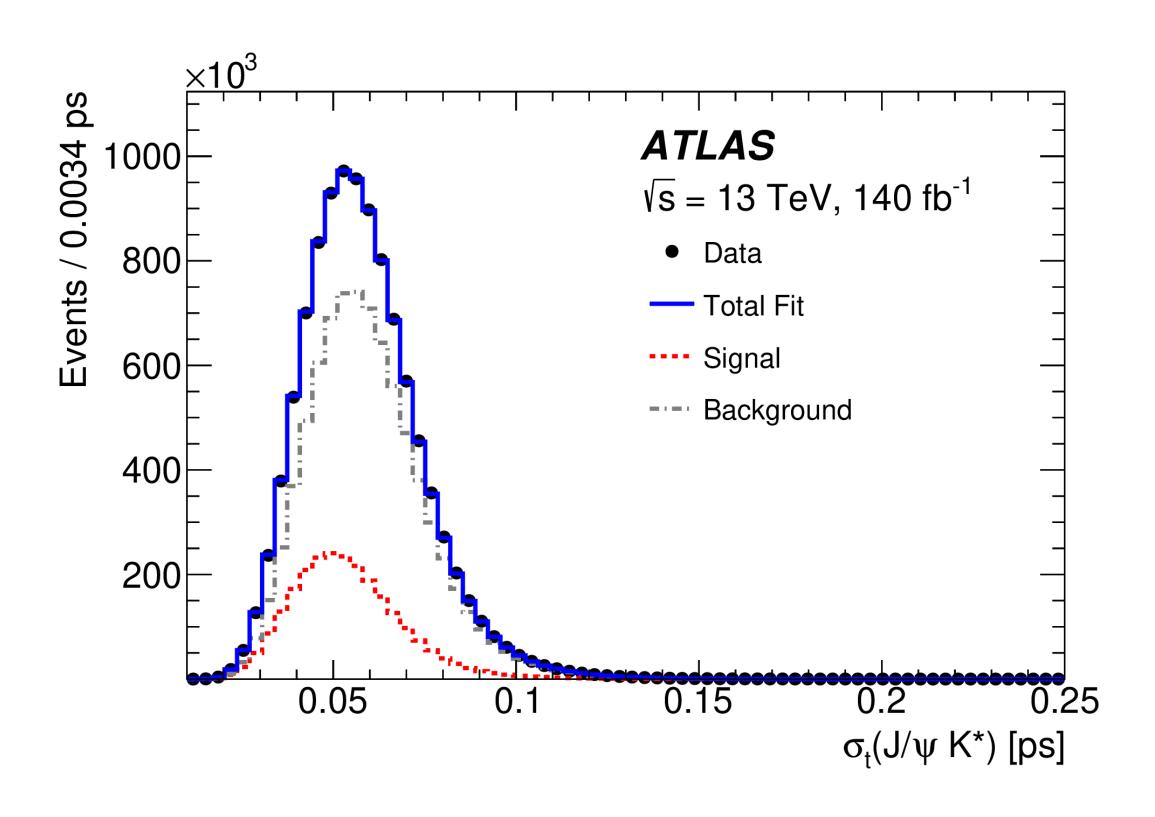
where  $E(t, \tau_{B^0}) = (1/\tau_{B^0}) \exp(-t/\tau_{B^0})$  for  $t \ge 0$ , with the parameter  $\tau_{B^0}$  standing for the  $B^0$  lifetime.

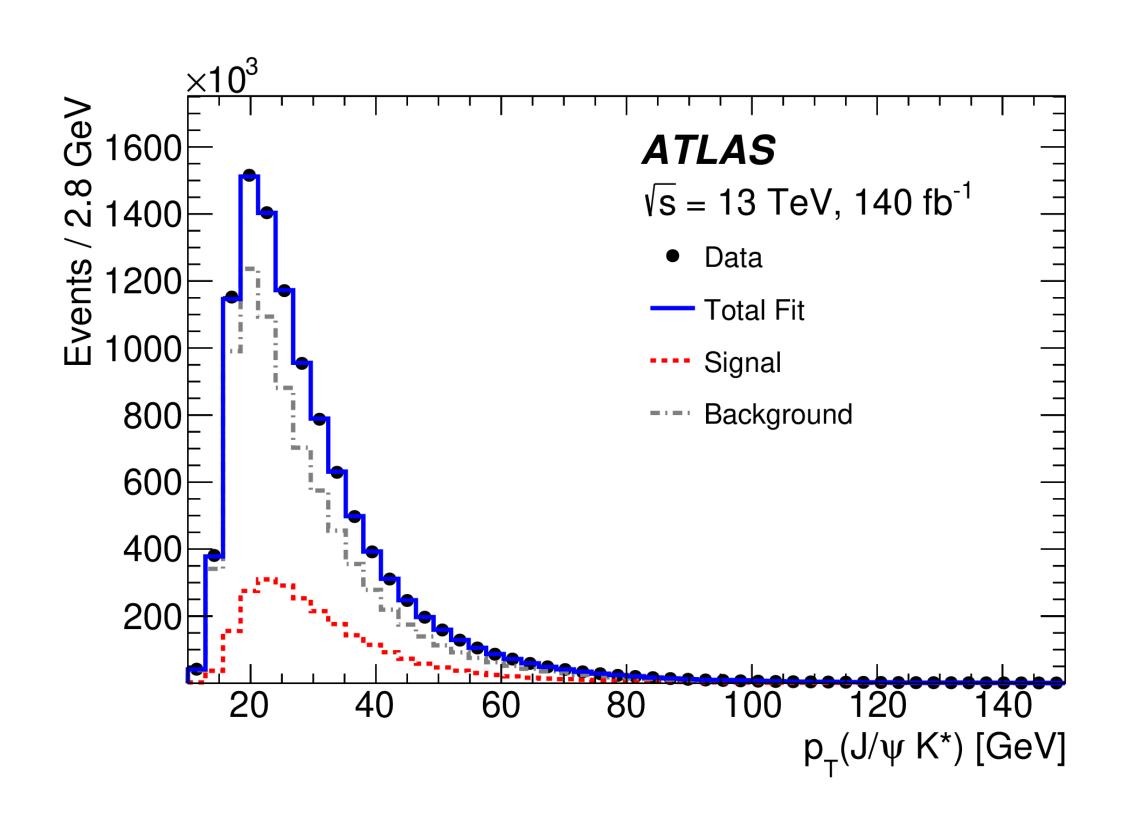
The proper decay time PDF for the background candidates,  $P_{\text{bkg}}$ , consists of two parts. One part accounts for the prompt background and consists of the resolution function R only. The other part accounts for the combinatorial background and consists of a sum of three exponential functions, each convolved with the resolution function R. In summary, the background proper decay time PDF takes the form:

$$P_{\text{bkg}}(t_{i}|\sigma_{t_{i}}, p_{T_{i}}) = \left(f_{\text{prompt}} \cdot \delta_{\text{Dirac}}(t') + (1 - f_{\text{prompt}}) \sum_{k=1}^{3} b_{k} \prod_{l=1}^{k-1} (1 - b_{l}) E(t', \tau_{\text{bkg}_{k}})\right) \otimes R(t' - t_{i}, \sigma_{t_{i}}).$$
(5)

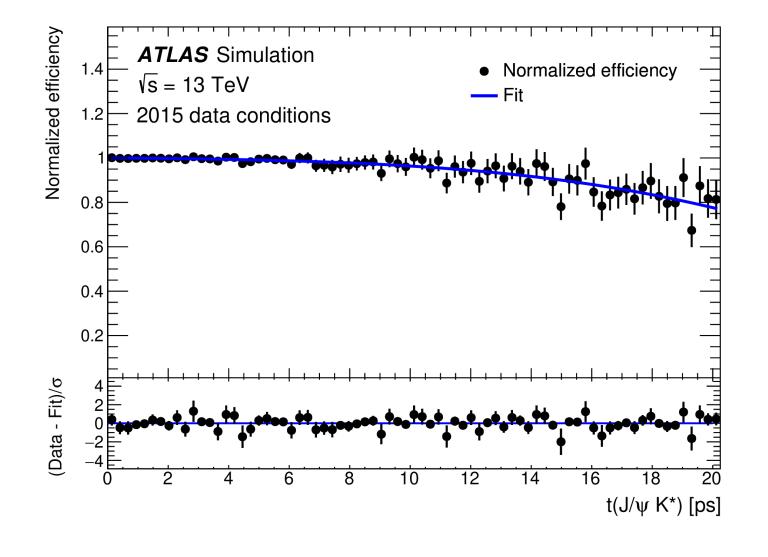
Here the  $\tau_{bkg_j}$  are different lifetimes describing three components of the combinatorial background; the parameters  $b_j$  are the relative fractions of these three background components, and  $f_{prompt}$  is the prompt component's fraction. Parameters  $\tau_{bkg_j}$ ,  $f_{prompt}$  and two of the  $b_j$  are free in the fit;  $b_3 \equiv 1$  by definition.

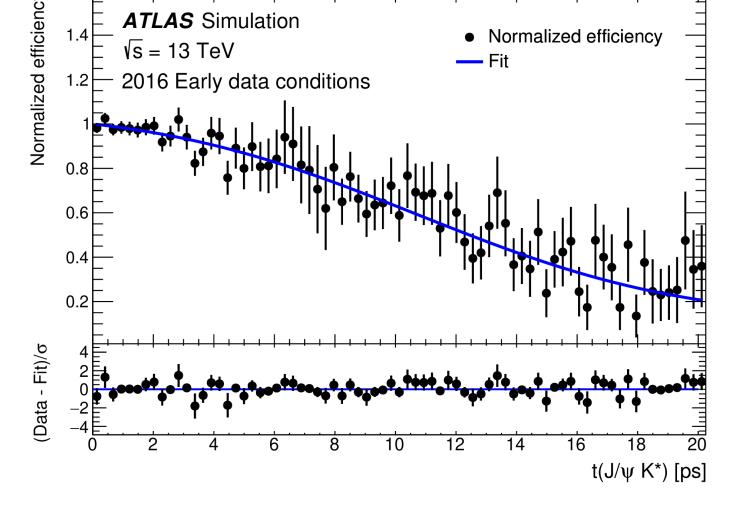
### $B_{\mathcal{A}}^0$ Lifetime Conditional Probability Distributions - 1D projections

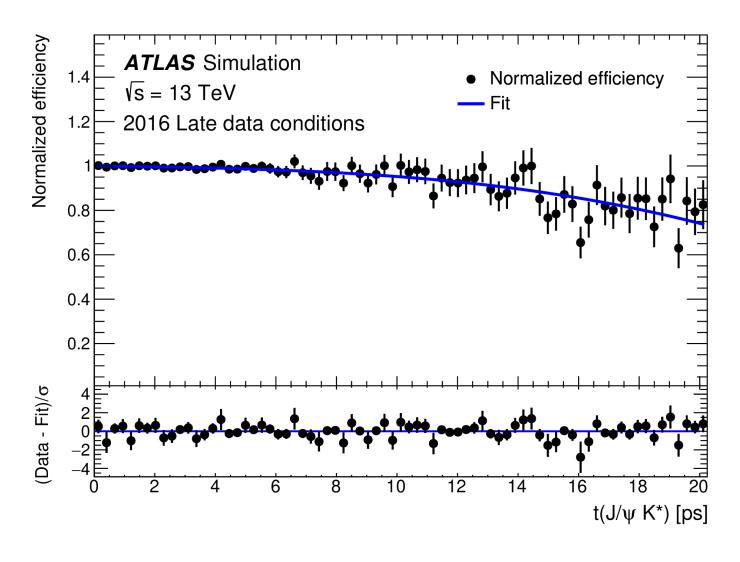


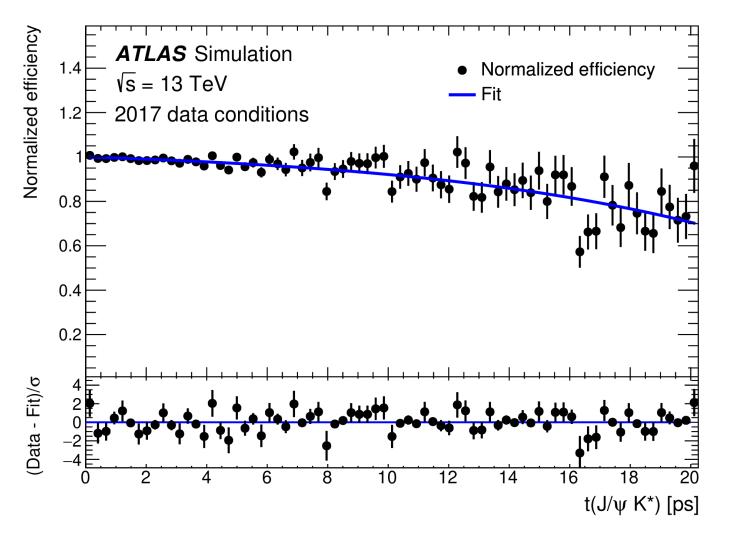


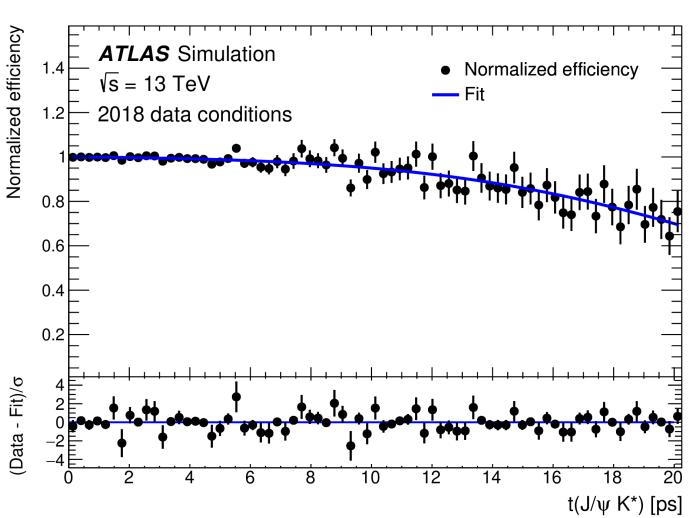
### $B_d^0$ Lifetime Time Efficiency Functions











Triggers and offline tracking impose upper limit on transverse impact parameter on the muons/  $J/\psi$  vertex - consequently see inefficiency at large values of decay time

## $B_d^0$ Lifetime stability

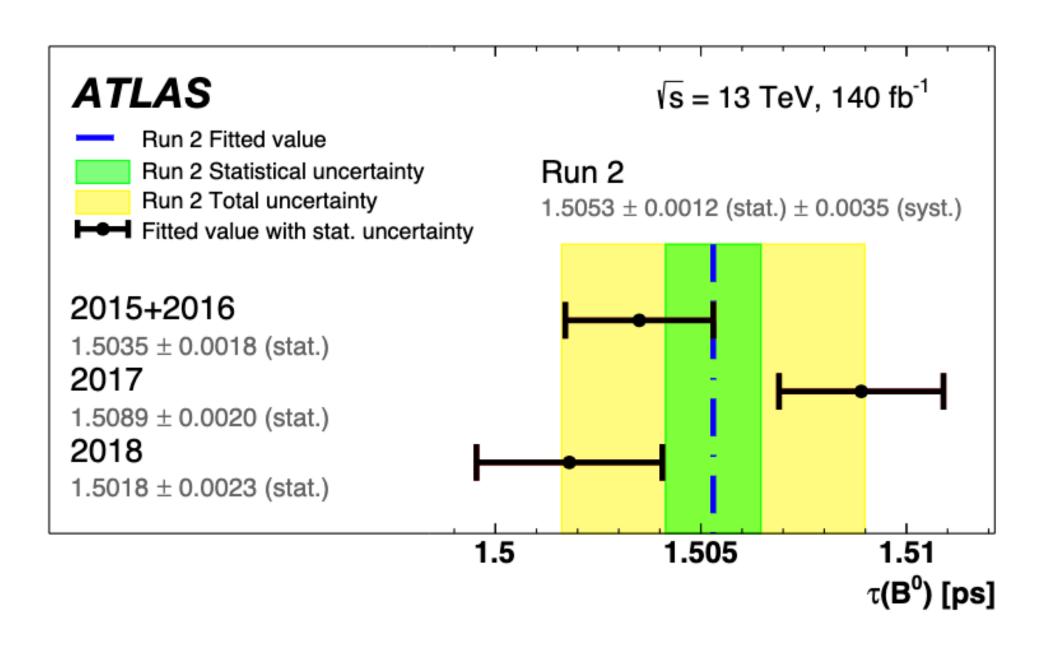
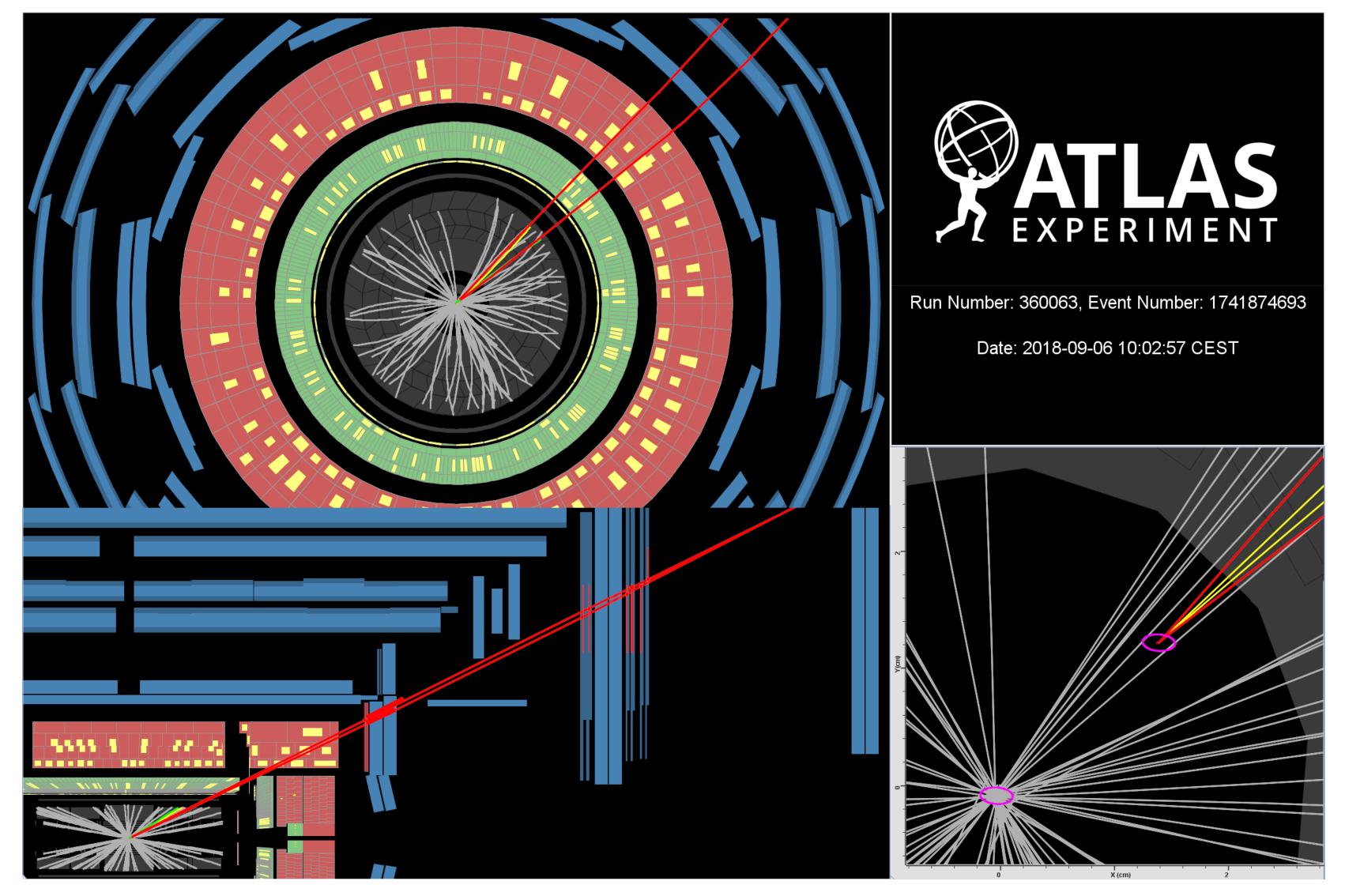
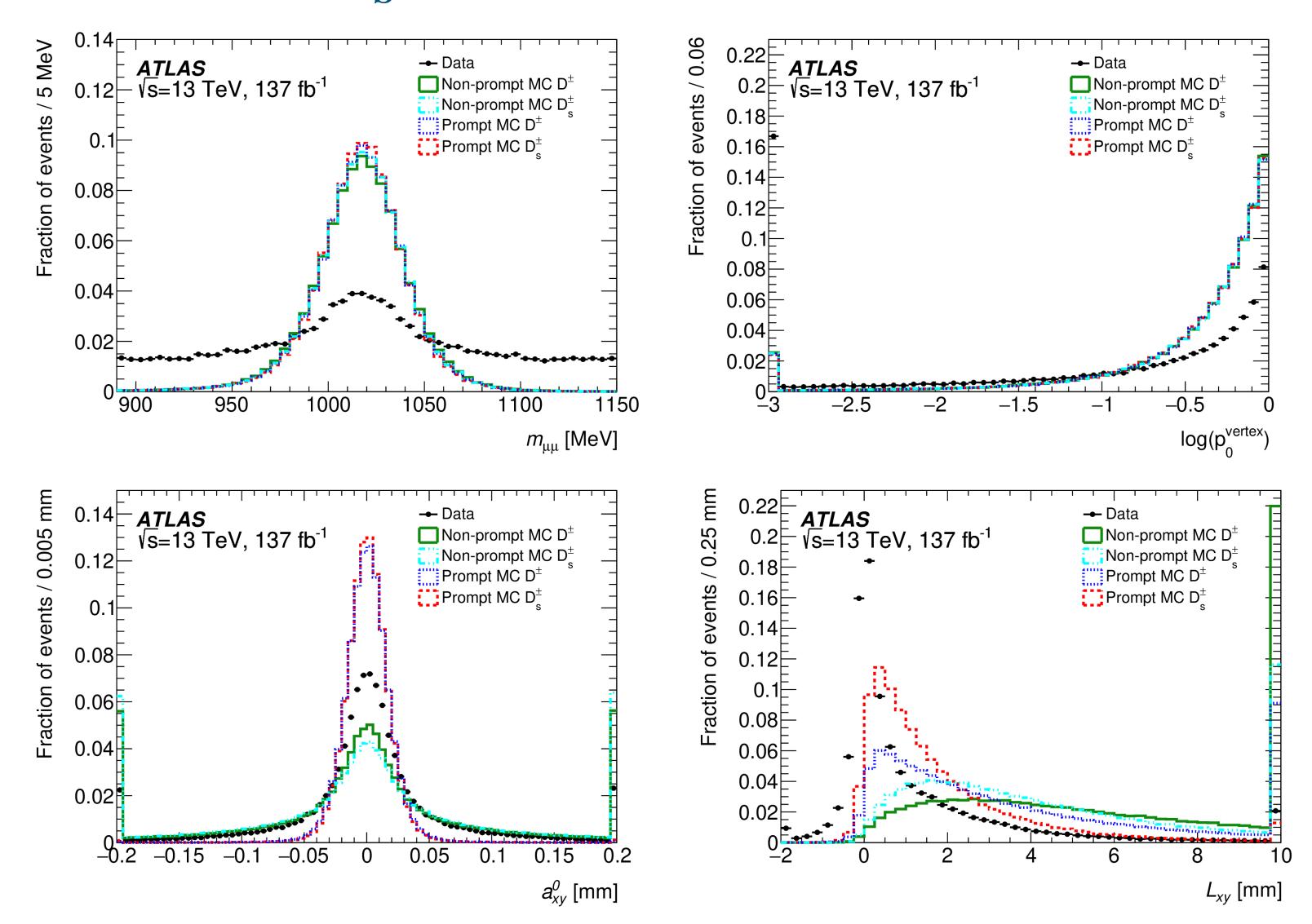


Figure 2: The fitted values of the  $B^0$  lifetime, measured with  $B^0 \to J/\psi K^{*0}$  decays, for the 2015+2016, 2017 and 2018 subsamples compared to the value for the whole sample. The  $B^0$  lifetime value for each subsample is shown by a black point, with the error bar indicating the statistical uncertainty.

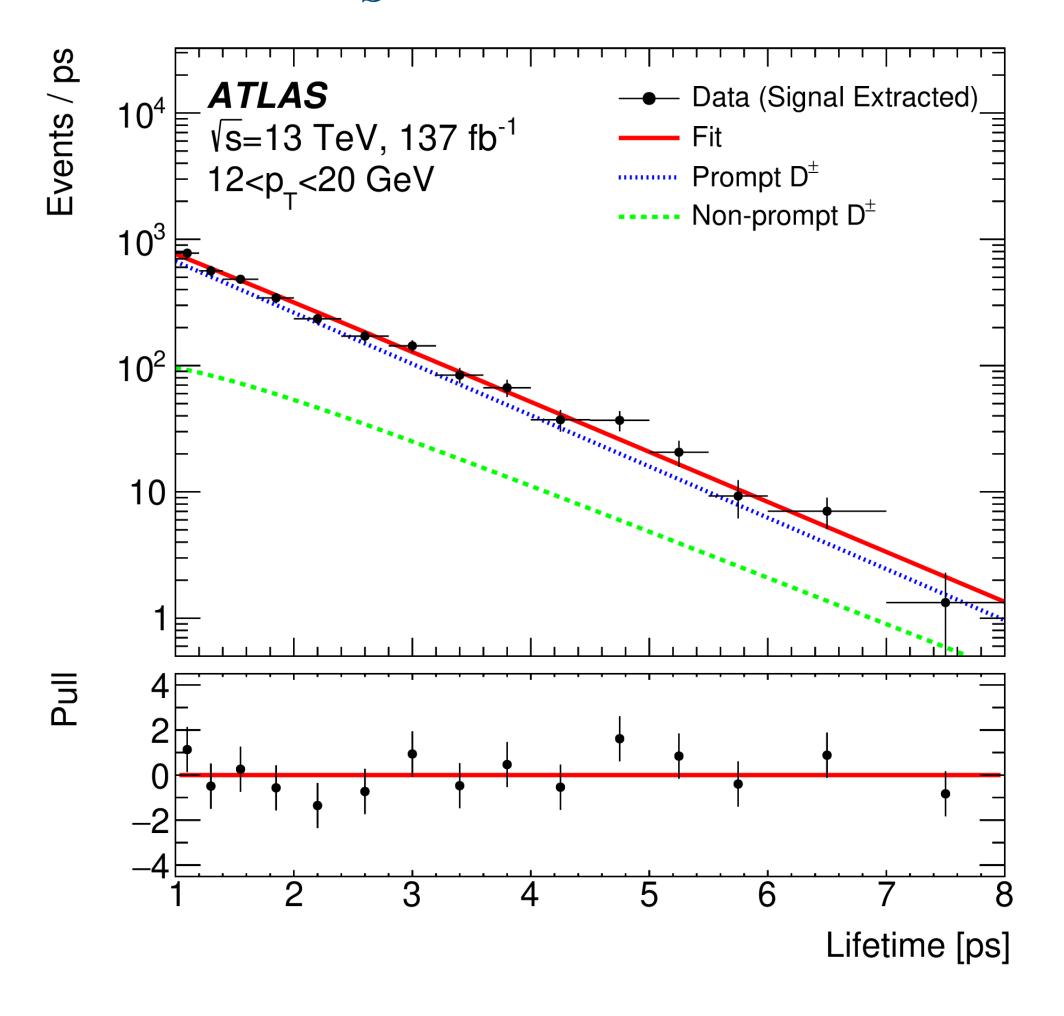
## $B_d^0$ Lifetime Event Display

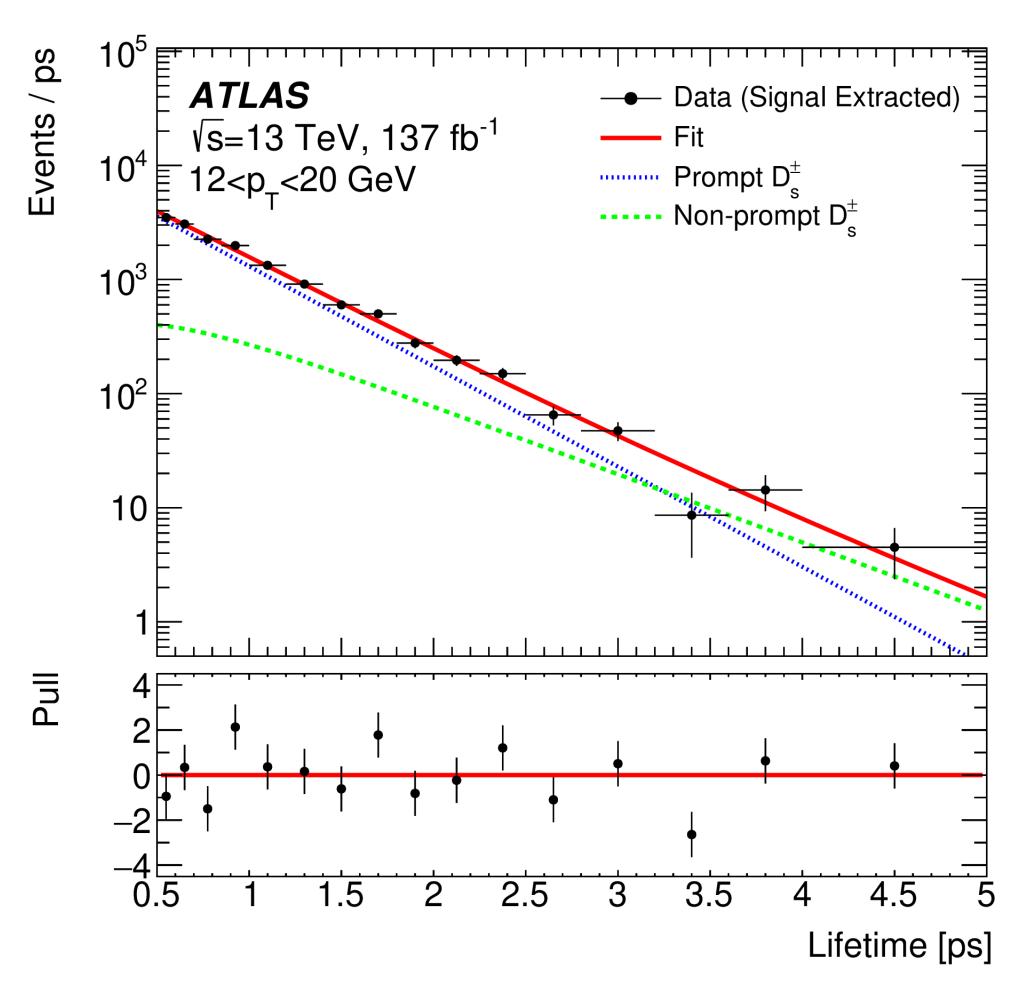


### $D^{\pm}$ and $D_{\scriptscriptstyle S}^{\pm}$ cross-sections normalised distributions

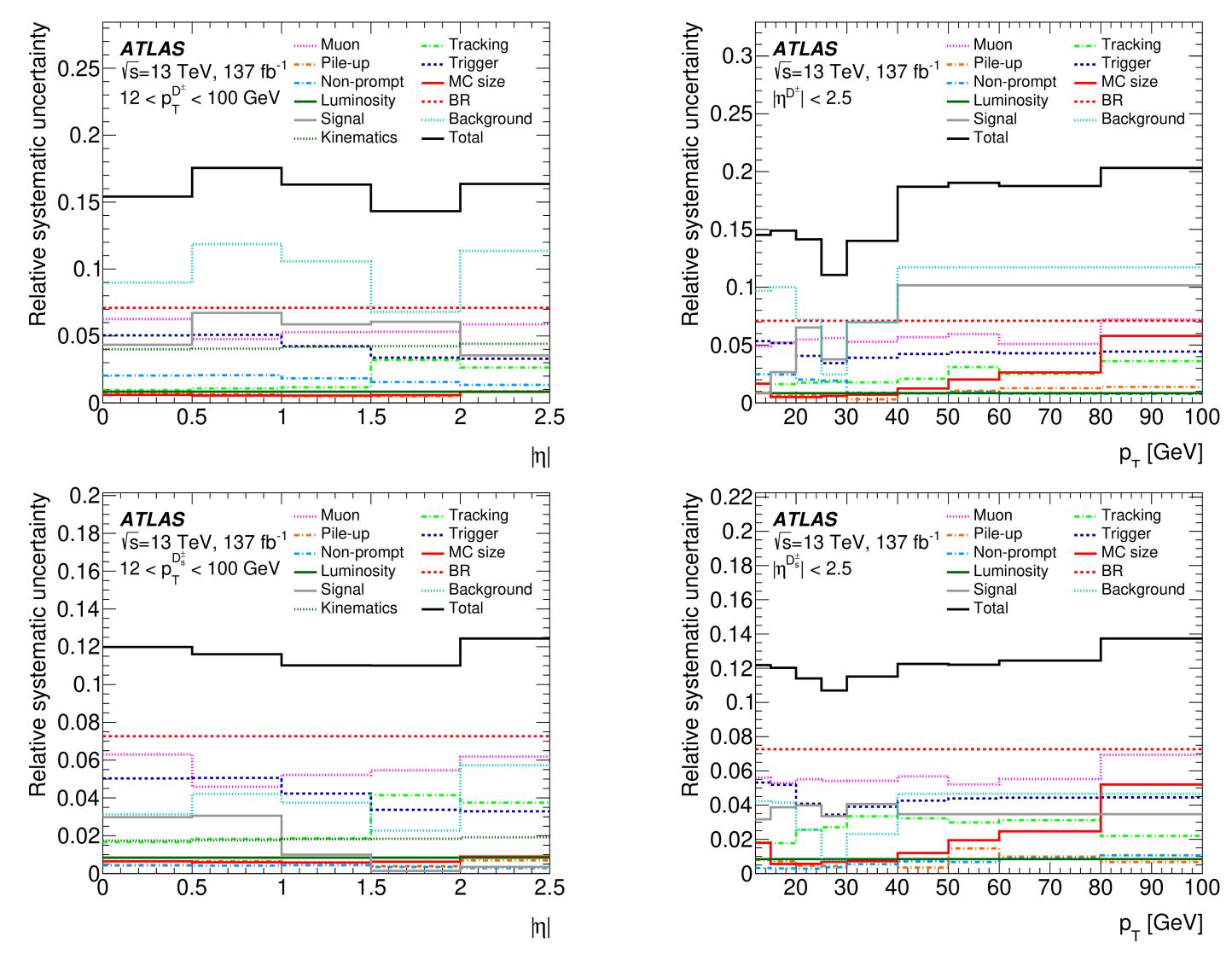


### $D^{\pm}$ and $D_{\scriptscriptstyle S}^{\pm}$ cross-sections lifetime fits



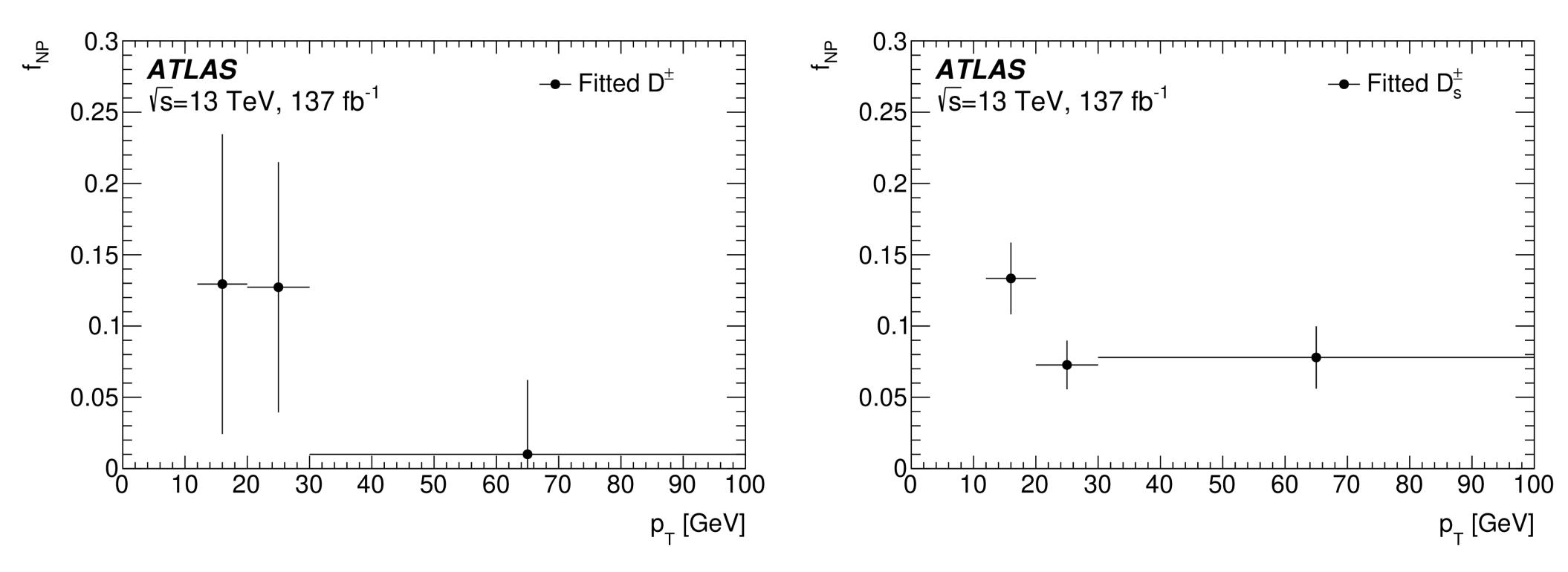


## $D^{\pm}$ and $D_{\scriptscriptstyle S}^{\pm}$ systematic uncertainties



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## $D^{\pm}$ and $D_{\scriptscriptstyle S}^{\pm}$ cross-sections non-prompt fractions



Only statistical Uncertainties shown

### **Cross-section Extraction**

Differential cross-sections are obtained from the fitted yields through:

$$\frac{\mathrm{d}\sigma}{\mathrm{d}p_{\mathrm{T}}}\Big|_{i} = \frac{S_{D^{\pm}/D_{s}^{\pm}}^{i}}{\int \mathcal{L}\mathrm{d}t \times C^{i} \times \mathcal{B}(D^{\pm}/D_{s}^{\pm} \to \phi(\mu\mu)\pi^{\pm}) \times \Delta^{i}p_{\mathrm{T}}},$$

$$\frac{\mathrm{d}\sigma}{\mathrm{d}|\eta|}\Big|_{j} = \frac{S_{D^{\pm}/D_{s}^{\pm}}^{j}}{\int \mathcal{L}\mathrm{d}t \times C^{j} \times \mathcal{B}(D^{\pm}/D_{s}^{\pm} \to \phi(\mu\mu)\pi^{\pm}) \times \Delta^{j}|\eta|},$$

• Where  $C_i$  are correct for the acceptance, reconstruction and efficiency of the analysis selections

$$\mathcal{B}(D_s^{\pm} \to \phi(\mu\mu)\pi^{\pm}) = \frac{\mathcal{B}(D_s^{\pm} \to \phi(K^+K^-)\pi^{\pm})}{\mathcal{B}(\phi \to K^+K^-)} \times \mathcal{B}(\phi \to \mu\mu),$$