

Probing the general axion-nucleon-nucleon interaction in water Cherenkov experiments

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Among low-mass particles,
the QCD axion is especially well-motivated

- solves, by a symmetry, the question why the strong force does not violate CP
- provides an excellent Dark Matter candidate
- ...



Axion-quark interaction

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Dense and hot enough astro-objects
may radiate a large quantity of axions

How to constrain axions

Adding a new cooling mode accelerates cooling
⇒ Constraints on axion-matter couplings

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Isolated Neutron Star Cooling

First generation: [Buschmann et al, 2022]

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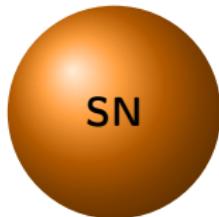
First generation: [Buschmann et al, 2022]

Supernova Axion Emission

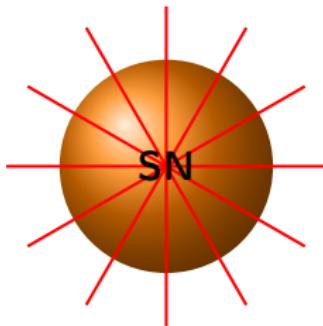
First generation: [Ericson, Mathiot, 1989 ; Carenza et al, 2019 ;
Carenza et al, 2020 ; Lella et al, 2022 ; Caputo, Raffelt, 2024]

With strange matter: [Cavan-Piton et al, PRL, 2024]

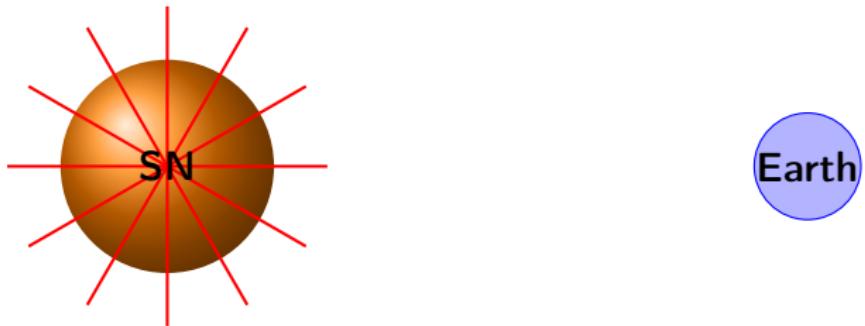
Axion emission from SNe



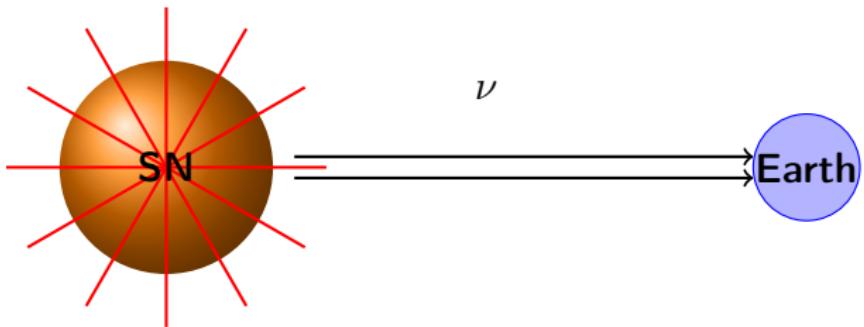
Axion emission from SNe



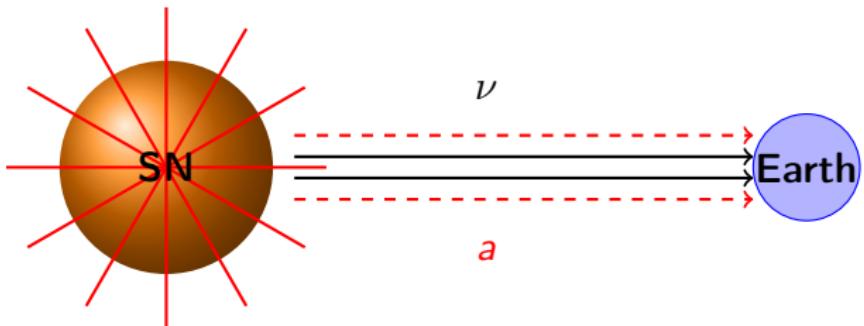
Axion emission from SNe



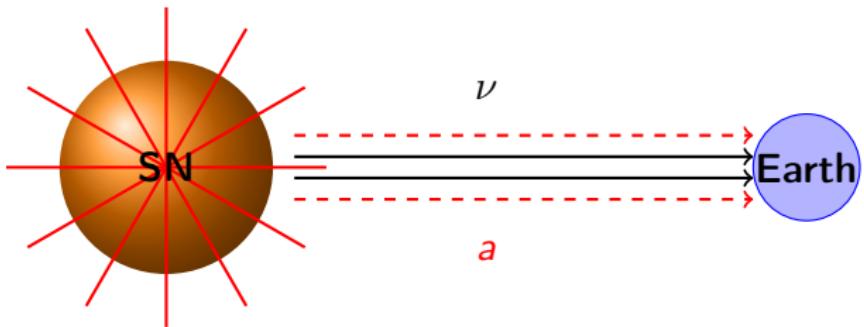
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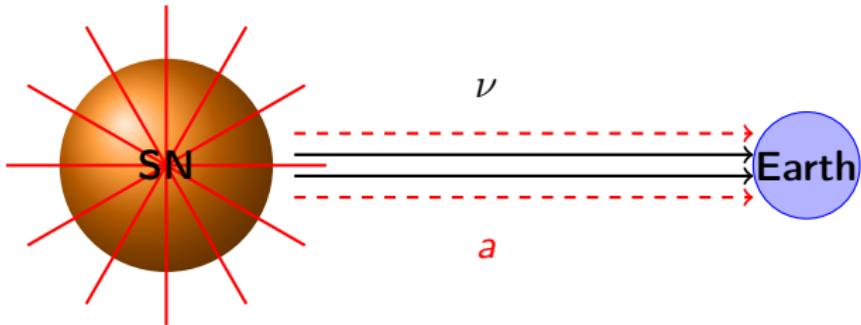


Axion emission from SNe



Axions reaching Earth could leave traces in Cherenkov facilities
(like neutrinos)

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Steps :

Axion emission
spectrum calculation

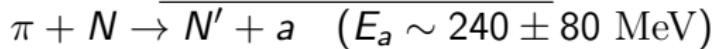
$$\frac{dN_a}{dE_a}$$

Calculation of detectable
particle spectrum
in Cherenkov facilities

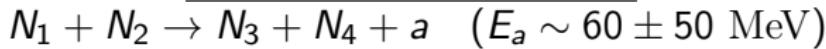
$$\frac{dN_i}{dE_i} = \frac{N_{target}}{4\pi d_{SN-Earth}^2} \int \frac{d\sigma}{dE_i} \frac{dN_a}{dE_a} dE_a$$

Axion emission :

pion-nucleon scattering:

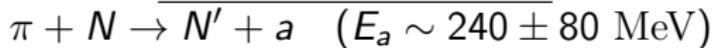


nucleon-nucleon scattering:

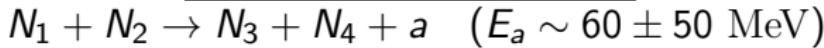


Axion emission :

pion-nucleon scattering:

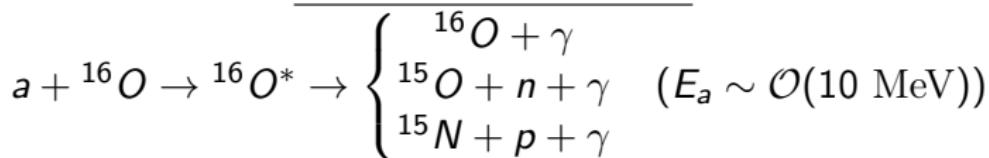


nucleon-nucleon scattering:

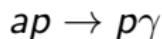


Axion reception :

Interaction with oxygen:



Interaction with free proton:



through the nucleon electric
dipole moment (EDM) portal interaction

We will consider two processes:

$$ap \rightarrow p\gamma \text{ & } ap \rightarrow p\pi^0$$

Processes study

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Our conclusions must be proved robust w.r.t. the modeling of:

- **axion-matter interactions:**
we address this question within a consistent EFT approach
- **SN-core equation of state (EoS) and thermodynamics:**
we consider different EoS and also vary the thermodynamic parameters

Axion-hadron interaction

The axion-hadron interaction is consistently formalized within
ChPT+a [Georgi, Kaplan, Randall, 1986]

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$$\mathcal{L}_{\text{axion-quark}} = \frac{\partial_\mu a}{f_a} \bar{q} (k_R \gamma_R^\mu + k_L \gamma_L^\mu) q$$

low ↓ energy

$$\mathcal{L}_{\text{axion-hadron}} = \frac{\partial_\mu a}{f_a} \left(x_R^b(k_R) J_R^{\mu,b}(U; B) + x_L^b(k_L) J_L^{\mu,b}(U; B) \right)$$

↑
axion-hadron couplings
parametrized in terms of
the fundamental k -couplings

↑ ↑
meson-octet
field

↑
baryon-octet
field

axion-hadron interactions and their couplings fixed by global symmetries (i.e. as Noether currents)

Axion-matter couplings

In the first generation, all axion-matter couplings can be expressed in terms of the axion-nucleon-nucleon couplings C_{aNN} ($N \in \{p; n\}$)

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KSVZ :

$$C_{app} = -0.452(28) \text{ and } C_{ann} = 0.012(28)$$

DFSZ :

$$C_{app} = -0.169(30) - 0.430(15) \sin^2(\beta),$$

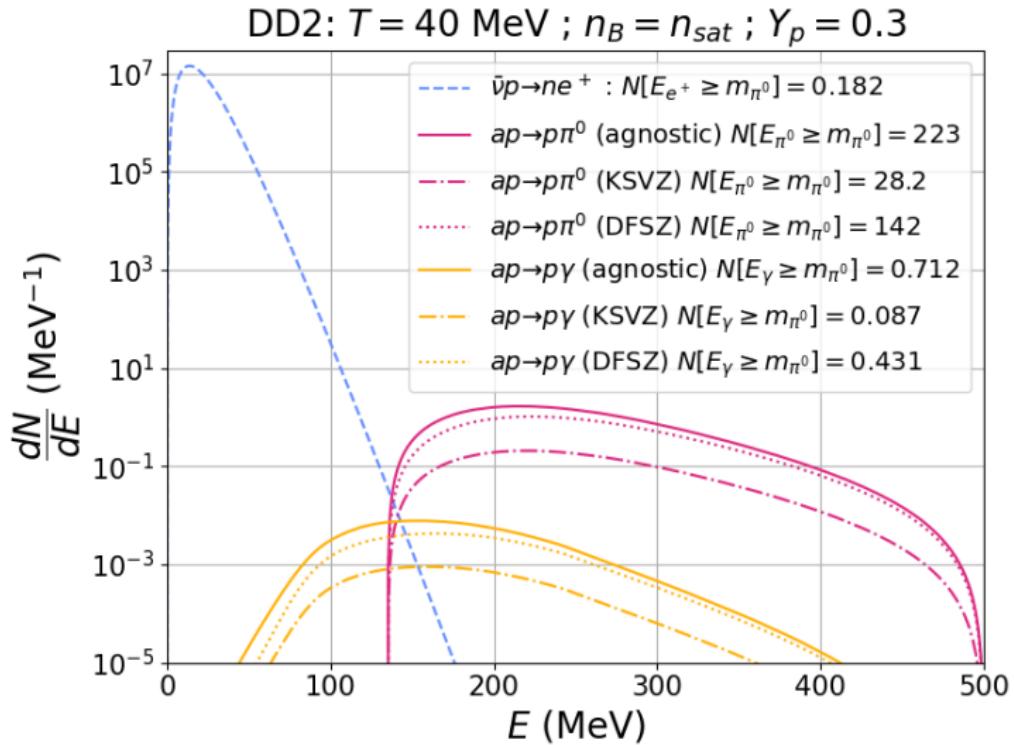
$$C_{ann} = -0.123(30) + 0.406(15) \sin^2(\beta)$$

with $\tan(\beta) \in [0.25; 170]$

"Agnostic":

C_{aNN} are only constrained by data (NSs or SNe)

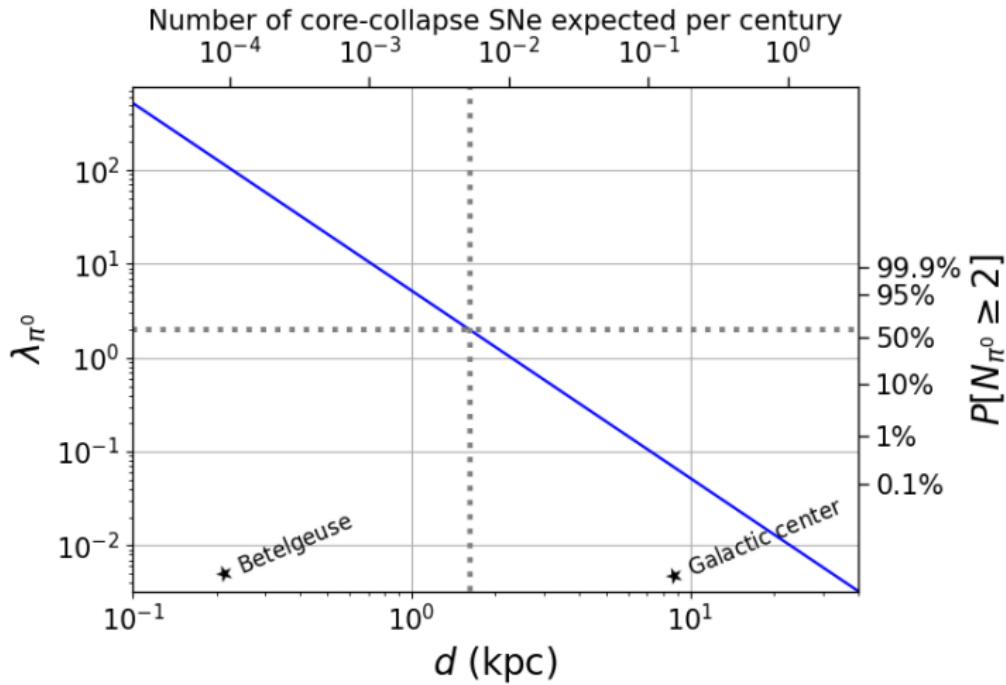
Results



Hyper-Kamiokande ($M_{det} = 374$ kton), Betelgeuse ($d = 0.2$ kpc)

Results

DD2: $T = 30$ MeV ; $n_B = n_{sat}$; $Y_p = 0.3$



Hyper-Kamiokande ($M_{det} = 374$ kton)

- SNe are excellent probes of fundamental physics, in particular of well-motivated SM extensions.
- The process $ap \rightarrow p\pi^0$ is a promising candidate.

Thanks !



The End