



EFT status

Oleksii Kurdysh

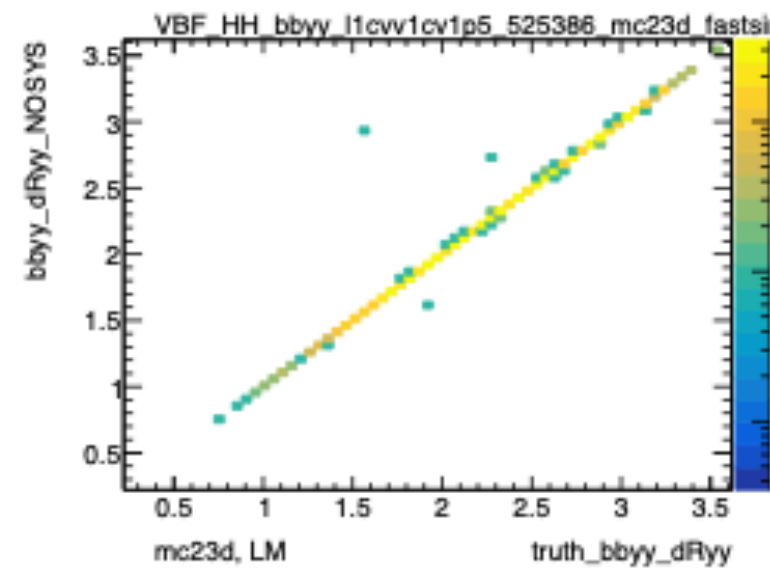
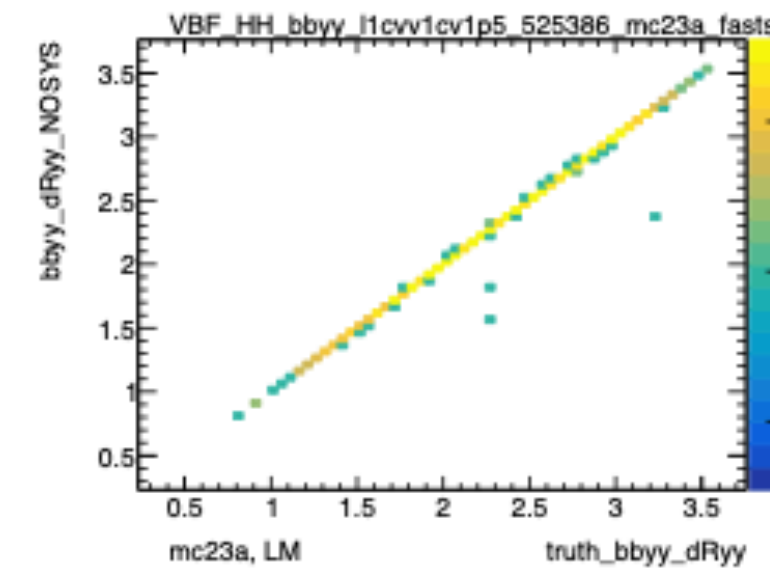
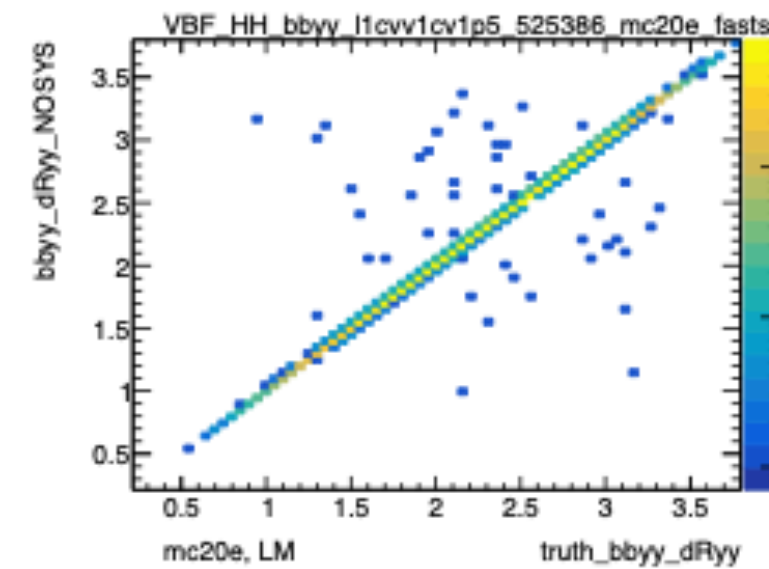
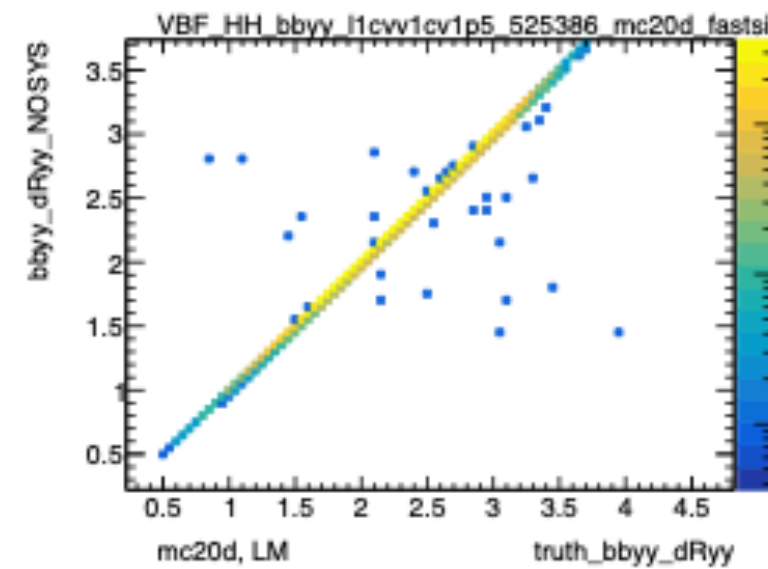
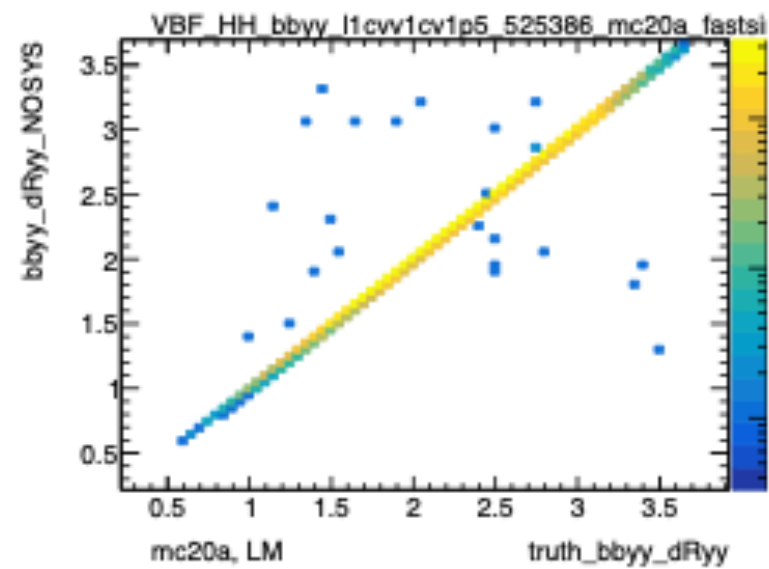
24Feb2025/ Meeting FJPPN 2024

Aside: truth-reco validation

🌐 In EB they asked to check agreement for important variables in BDR training

🌐 I picked up this SM sidequest

🌐 Example for $\Delta R(\gamma, \gamma)$



🌐 In INT note now

🌐 Next: to get photo-related non-HH samples distributions need to have info on truth photons

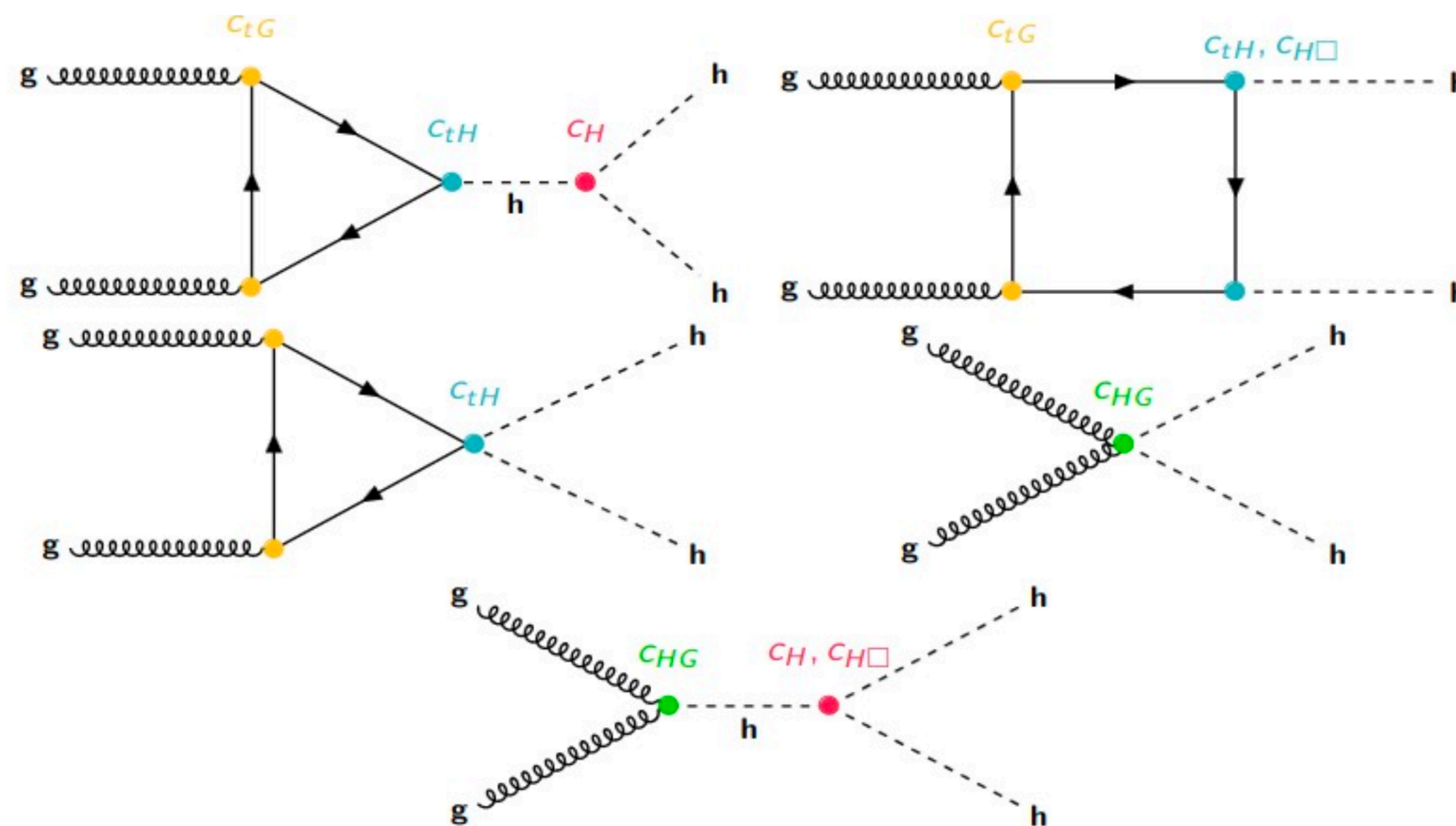
🌐 Not there in easyJet -> will add

Run-2 reminder

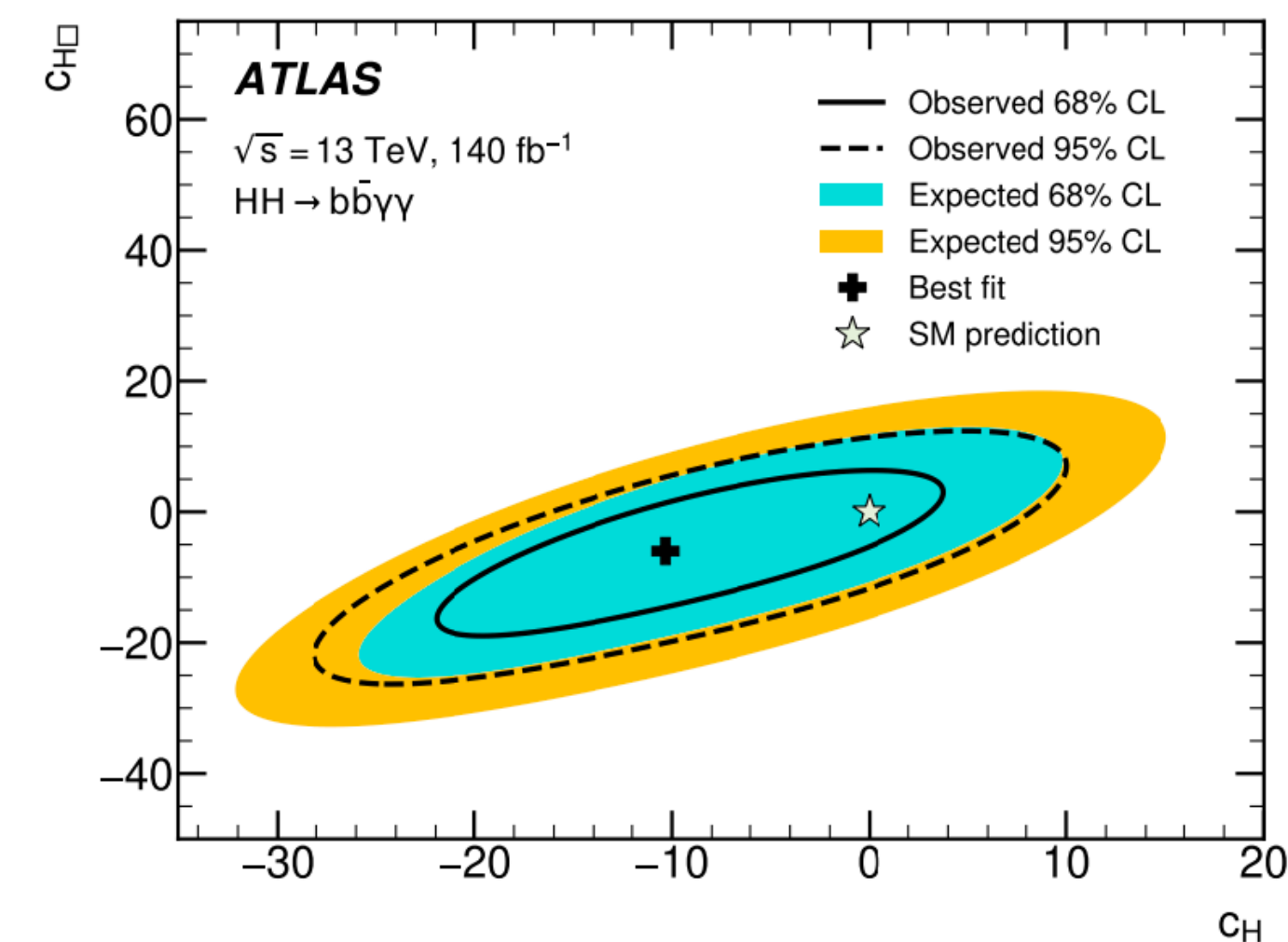
Start from SM results and reweight yields per category to EFT in question

Neglect VBF

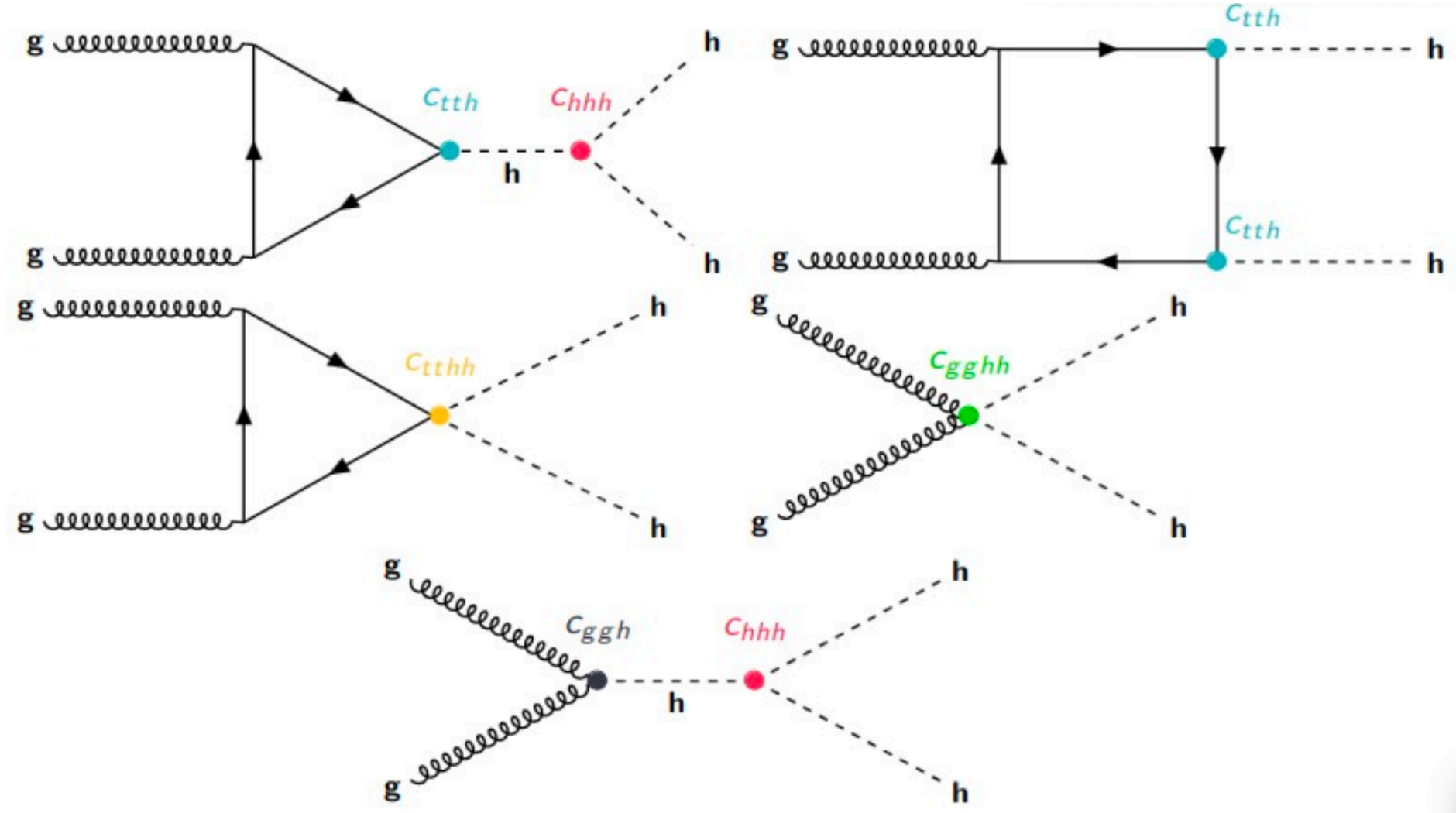
Obtained SMEFT constraints (without linear-only), 1D for two operators and their 2D



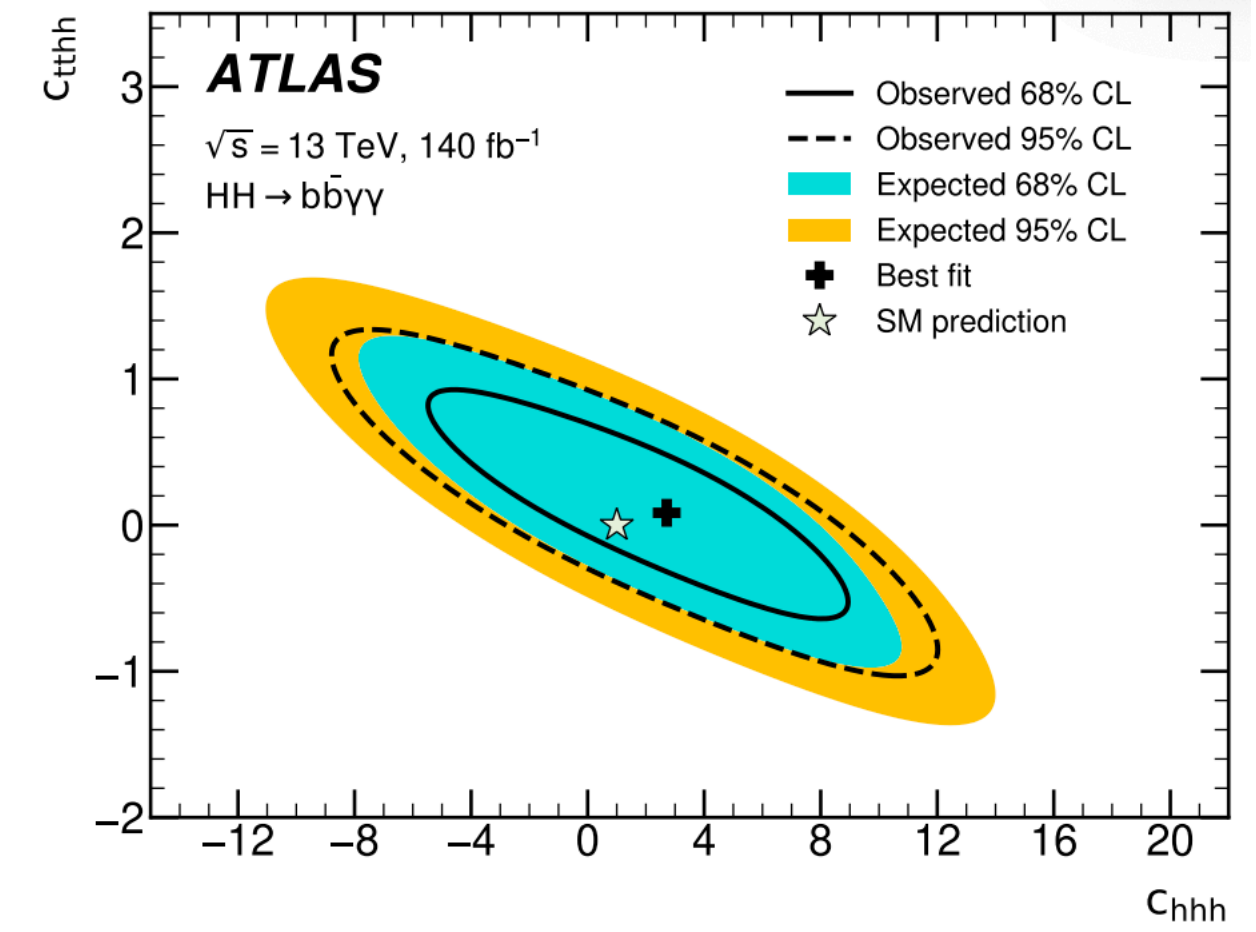
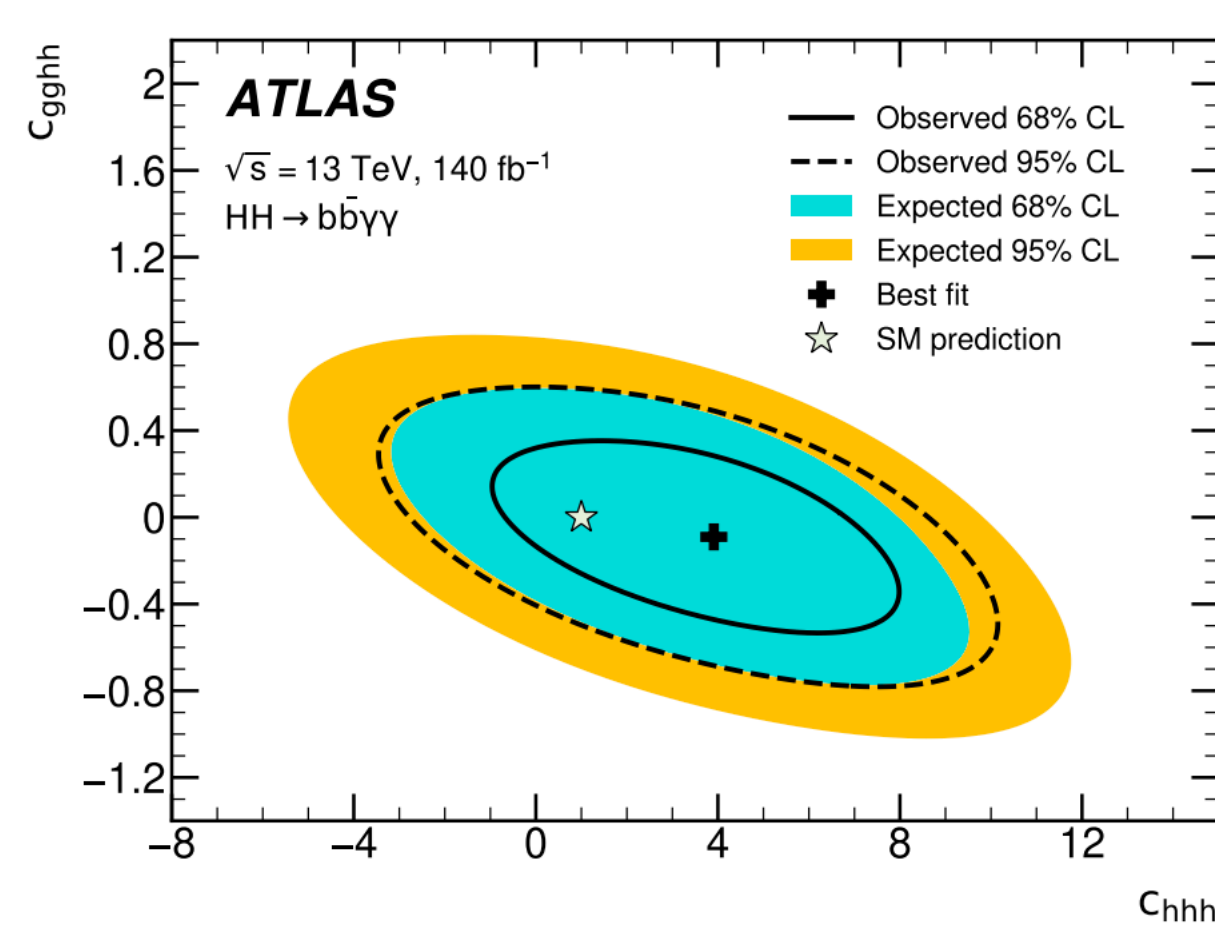
Wilson coefficient	95% CL Observed	95% CL Expected
C_H	$[-14.4, 6.2]$	$[-16.8, 9.7]$
$C_{H\Box}$	$[-9.4, 10.2]$	$[-12.4, 13.7]$



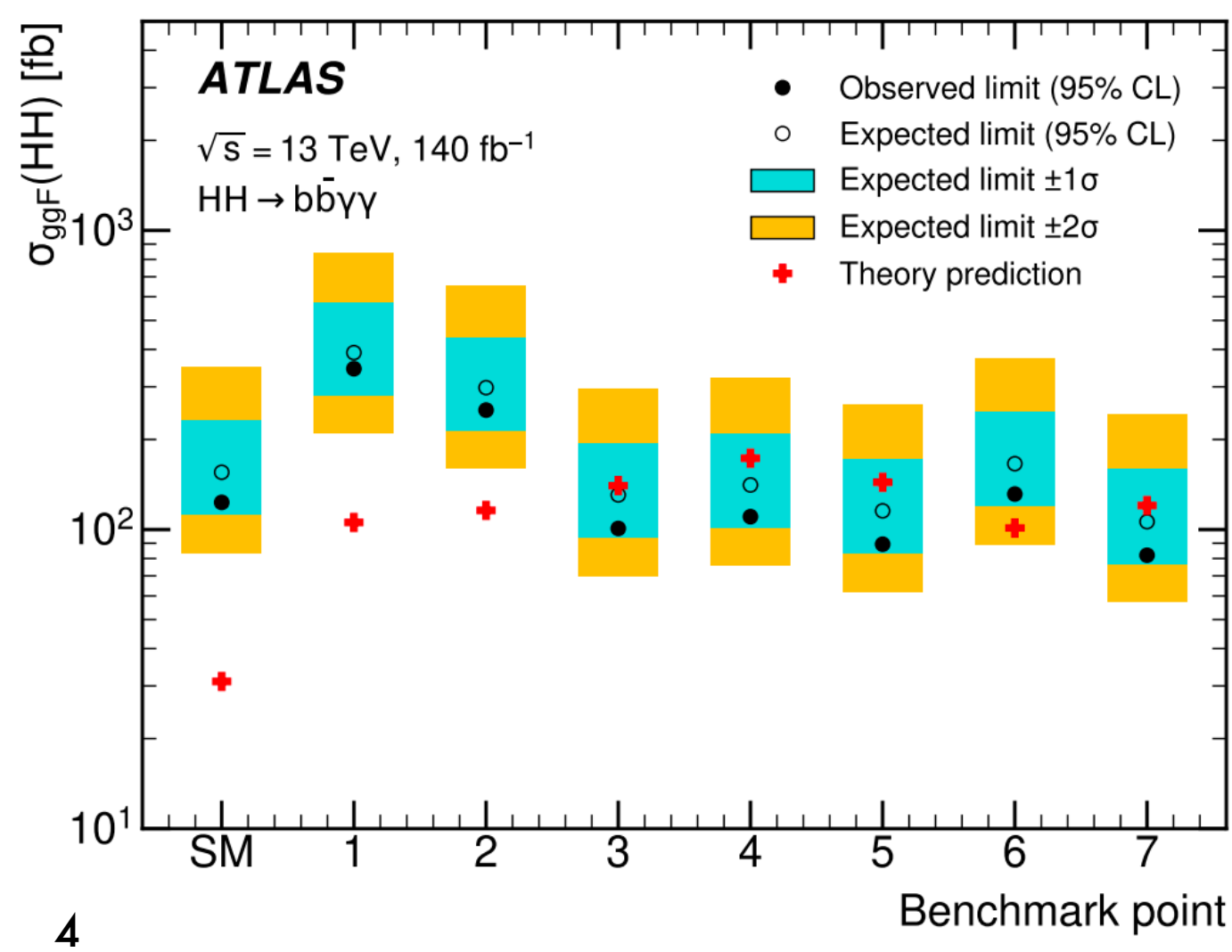
Obtained HEFT constraints (without ttH, ggH)



Wilson coefficient	95% CL Observed	95% CL Expected
C_{hhh}	$[-1.7, 7.7]$	$[-3.4, 8.9]$
C_{tth}	$[-0.28, 0.73]$	$[-0.48, 0.94]$
C_{gghh}	$[-0.42, 0.52]$	$[-0.59, 0.69]$






And benchmarks limits (still interesting?)





Goals for this round

SMEFT

-  More operators (c_{tH} , c_{HG} , c_{tG}) in the SMEFT treatment + multi-D fit, to facilitate combination with single-Higgs
-  SMEFT effects in STXS bins for the single-H background, for the same reason
-  Linear-only case, since this is useful in testing SMEFT validity

HEFT

-  3D fits for the current operator list
-  ttH and ggH operators

Current activities - STXS

SMEFT single-H was parametrized in p_T only, move to STXS bins

- 🌐 STXS flags are inside of PHYS(LITE) already, will read them in easyJet
- 🌐 Include STXS uncertainties provided by TruthWeightTools
- 🌐 MR, if not possible to get cleaned up TruthWeightTools (fails easyJet style checks) will remove it and have only categories for v7 ntuples
- 🌐 Software upstream to easyjet is messy
 - 🌐 STXS module got broken on one sample
 - 🌐 temporary switched off by default
 - 🌐 I will get back to this

Current activities - EFT samples

🌐 Powheg NLO

🌐 In previous round were based on private LHE instead of ATLAS generation

🌐 Ugly

🌐 Impossible to cross-check later

🌐 -> Aim to do generation within ATLAS

🌐 Nuance: I've found and reported/ fixed myself three bugs in ATLAS implementation of powheg

🌐 But now it's running

🌐 Heavy to generate, to get back GRID within typically 2 days need at least 50 cores

🌐 Running myself in Lyon cluster (understands slurm)

🌐 $n_{\text{Operators}} * n_{\text{Coupling}} * n_{\text{Energies}} * \dots$ but there a certain quota I have

Current activities - updated parametrisation of legacy

In legacy get SMEFT, HEFT HH samples SM sample was reweighted in bins of m_{hh}

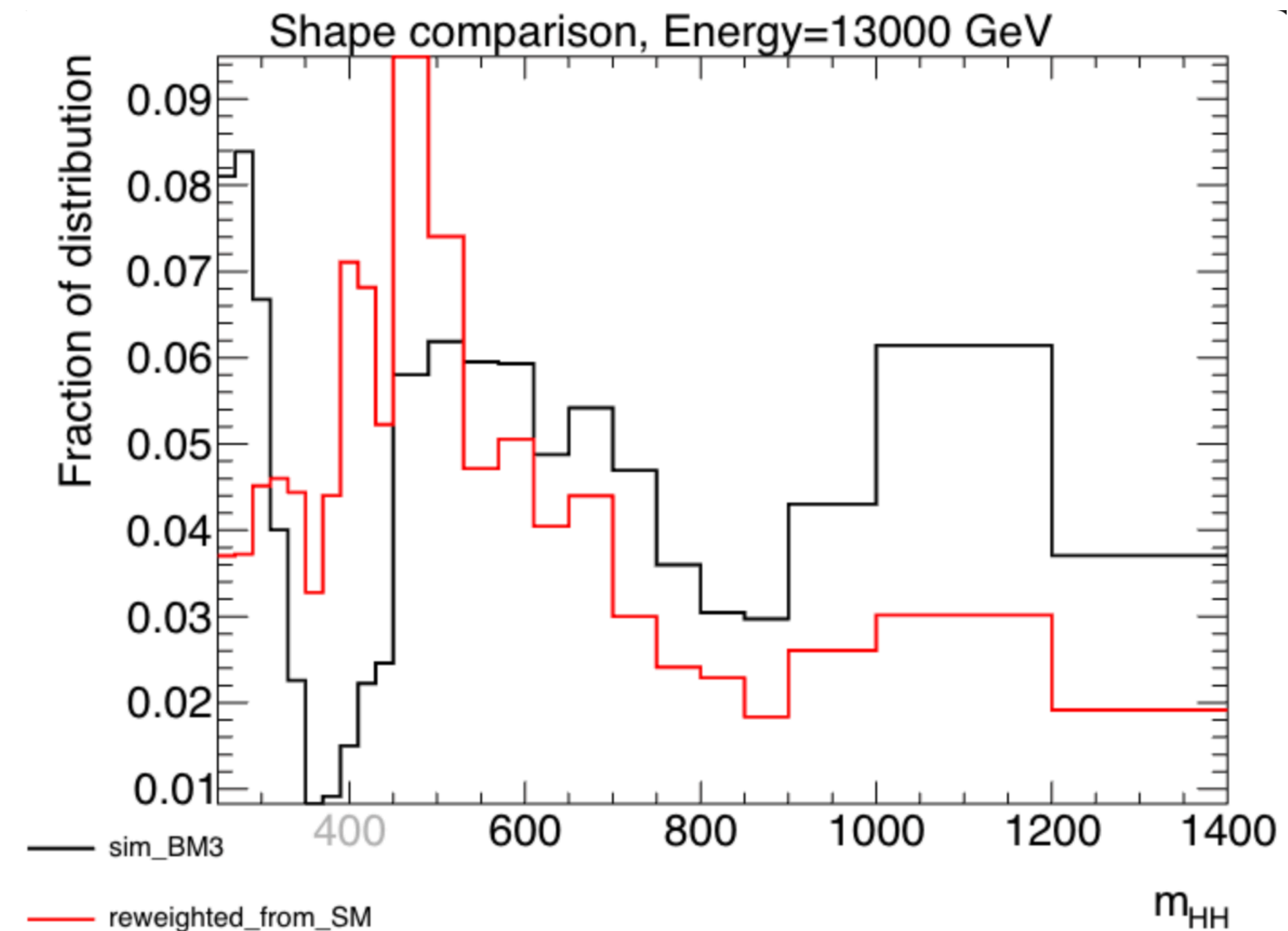
🌐 Updated legacy reweighting now now done not only in bins of m_{hh} but in multi-bins of $m_{hh} \times |\cos(\theta^*)| \times p_T^{hh}$

🌐 I Added variables to easyJet: MR

🌐 Problem: don't see closure at least for HEFT

🌐 Showing worst case but which

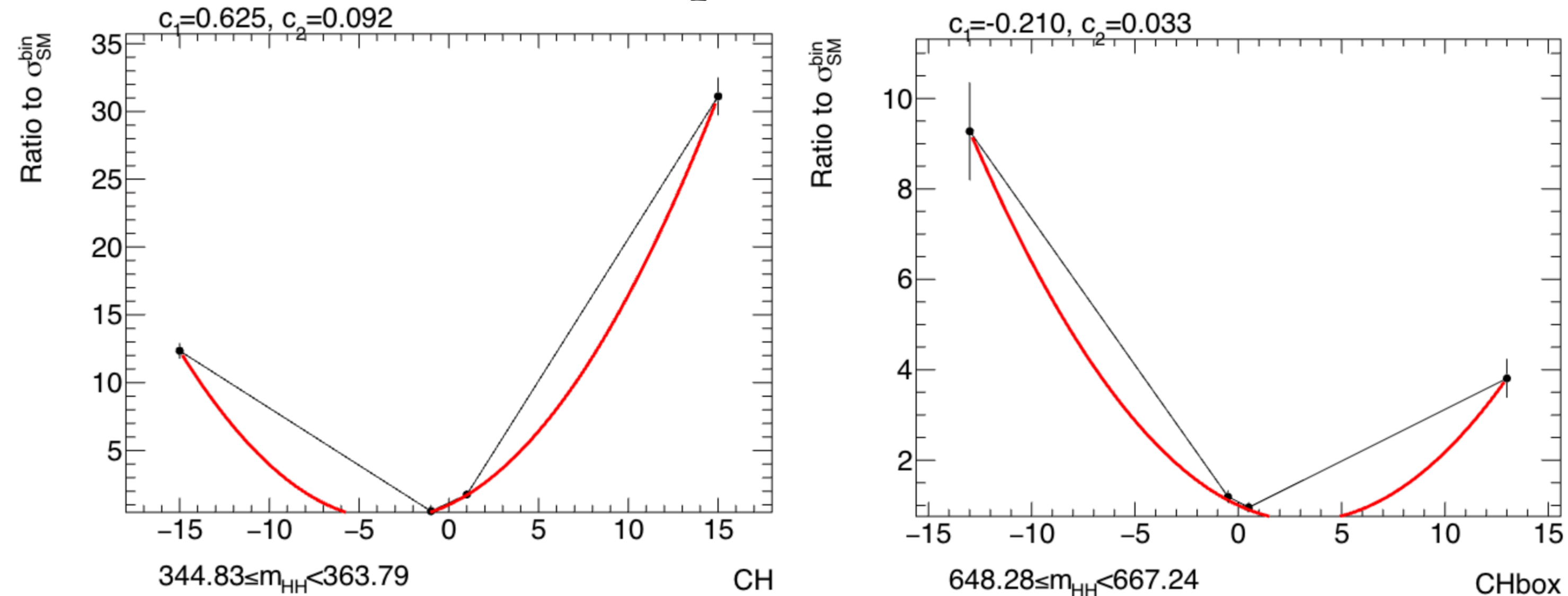
🌐 -> do my own parametrization



Current activities - my parametrisation

To get SMEFT, HEFT HH samples SM sample was reweighted in bins of m_{hh}

🌐 For each operator in each m_{hh} bin, derive parabola



🌐 Waiting for more powheg samples to extend to more operators

🌐 Currently working of inserting that into workspace utilising SM framework if possible

🌐 From there normal fitting

Likely out of timescale for this round

- 🌐 VBF, to get higher sensitivity to some operators (e.g. VVHH vertex)
- 🌐 Previously (legacy analysis) no MC was available
- 🌐 It exist now
- 🌐 Interesting to look for later iterations
- 🌐 Even without EFT ,VBF doesn't seem like a focus of attention now

The End

$$\Delta\mathcal{L}_{\text{HEFT}} = -m_t \left(c_t \frac{h}{v} + c_{tt} \frac{h^2}{v^2} \right) \bar{t} t - c_{hhh} \frac{m_h^2}{2v} h^3$$

$$+ \frac{\alpha_s}{8\pi} \left(c_{ggh} \frac{h}{v} + c_{gghh} \frac{h^2}{v^2} \right) G_{\mu\nu}^a G^{a,\mu\nu}.$$

$$\Delta\mathcal{L}_{\text{Warsaw}} = \frac{C_{H,\square}}{\Lambda^2} (\phi^\dagger \phi) \square (\phi^\dagger \phi) + \frac{C_{HD}}{\Lambda^2} (\phi^\dagger D_\mu \phi)^* (\phi^\dagger D^\mu \phi) + \frac{C_H}{\Lambda^2} (\phi^\dagger \phi)^3$$

$$+ \left(\frac{C_{uH}}{\Lambda^2} \phi^\dagger \phi \bar{q}_L \tilde{\phi} t_R + h.c. \right) + \frac{C_{HG}}{\Lambda^2} \phi^\dagger \phi G_{\mu\nu}^a G^{\mu\nu,a}$$

$$+ \frac{C_{uG}}{\Lambda^2} (\bar{q}_L \sigma^{\mu\nu} T^a G_{\mu\nu}^a \tilde{\phi} t_R + h.c.) + \frac{C_{tG}}{\Lambda^2} (\bar{Q}_L \sigma^{\mu\nu} T^a G_{\mu\nu}^a \tilde{\phi} t_R + h.c.)$$

$$+ \frac{C_{Qt}^{(1)}}{\Lambda^2} \bar{Q}_L \gamma^\mu Q_L \bar{t}_R \gamma_\mu t_R + \frac{C_{Qt}^{(8)}}{\Lambda^2} \bar{Q}_L \gamma^\mu T^a Q_L \bar{t}_R \gamma_\mu T^a t_R$$

$$+ \frac{C_{QQ}^{(1)}}{\Lambda^2} \bar{Q}_L \gamma^\mu Q_L \bar{Q}_L \gamma_\mu Q_L + \frac{C_{QQ}^{(8)}}{\Lambda^2} \bar{Q}_L \gamma^\mu T^a Q_L \bar{Q}_L \gamma_\mu T^a Q_L$$

$$+ \frac{C_{tt}}{\Lambda^2} \bar{t}_R \gamma^\mu t_R \bar{t}_R \gamma_\mu t_R,$$