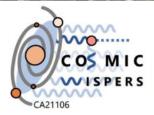
PADME Run III analysis results

Marco Mancini on behalf of the PADME Collaboration

Laboratori Nazionali di Frascati, INFN

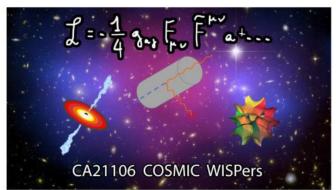
Università di Roma "Tor Vergata"

18.09.2025 - marco.mancini@lnf.infn.it











Laboratoire d'Annecy de



The X₁₇ anomaly @ATOMKI



Anomaly in the angular correlation of e^+e^- pairs emitted via IPC in the 8Be , 4He and ^{12}C nuclear de-excitation. It seems to be compatible with a **new neutral mediator called X**₁₇:

• $m_{X_{17}} \sim 17 \text{ MeV}$

•
$$\Gamma_{X_{17}} \simeq \frac{\epsilon^2 \alpha m_{X_{17}}}{3} \Rightarrow \text{(vector) } \Gamma_V = 0.5 \left(\frac{g_V}{0.001}\right)^2 \text{eV}$$

Observation at ATOMKI (Hungary) + HUS (Vietnam)

Neutrino Constraints and the ATOMKI X17 Anomaly

An analysis with the angular data alone of 11 different measurements finds that the data is well described by a new particle of mass $m_X = 16.85 \pm 0.04$ MeV with an internal goodness-of-fit of 1.8σ calculated from Wilks' theorem at $\chi^2/dof = 17.3/10$. We use only the best fit

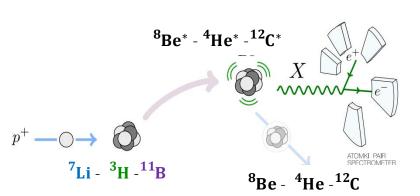
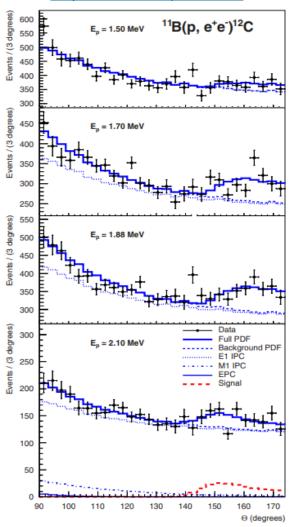


TABLE III. Nuclear excited states N_* , their spin-parity $J_*^{P_*}$, and the possibilities for X (scalar, pseudoscalar, vector, axial vector) allowed by angular momentum and parity conservation, along with the operators that mediate the decay and references to the equation numbers where these operators are defined. The operator subscripts label the operator's dimension and the partial wave of the decay, and the superscript labels the X spin. For example, $\mathcal{O}_{4P}^{(0)}$ is a dimension-four operator that mediates a P-wave decay to a spin-0 X boson.

N_*	$J_*^{P_*}$	Scalar X	Pseudoscalar X	Vector X	Axial Vector X
8 Be(18.15)	1+	•••	$\mathcal{O}_{4P}^{(0)}$ (27)	$\mathcal{O}_{5P}^{(1)}$ (37)	$\mathcal{O}_{3S}^{(1)}$ (29), $\mathcal{O}_{5D}^{(1)}$ (34)
$^{12}C(17.23)$	1-	$\mathcal{O}_{4P}^{(0)}$ (27)	•••	$\mathcal{O}_{3S}^{(1)}$ (29), $\mathcal{O}_{5D}^{(1)}$ (34)	$\mathcal{O}_{5P}^{(1)}$ (37)
⁴ He(21.01)	0-		$\mathcal{O}_{3S}^{(0)}$ (39)		$\mathcal{O}_{4P}^{(1)}$ (40)
$^{4}\text{He}(20.21)$	0_{+}	$\mathcal{O}_{3S}^{(0)}$ (39)	•••	$\mathcal{O}_{4P}^{(1)}$ (40)	

Phys. Rev. C 106, L061601



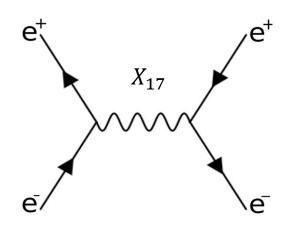
Resonant X₁₇ search @PADME Run III





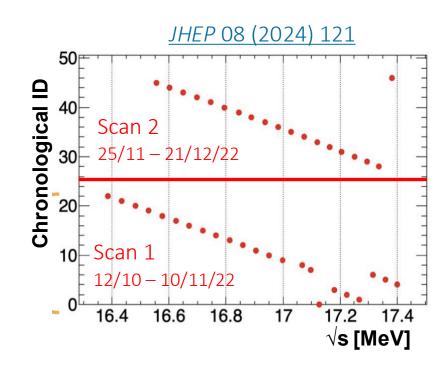


- $\sigma_{res} \propto \frac{g_{Ve}^2}{2m_e} \pi Z \, \delta(E_{res} E_{beam}) \rightarrow$ dominant wrt other signal production processes
- $\sqrt{s} \simeq m_X$ fine scan with the e⁺-beam looking for an excess over SM BKG @PADME: X₁₇ production through resonant annihilation in diamond target: scan $E(e^+) \sim 282$ MeV aiming to measure 2 body final state yield $N_2(s)$ PRD 106 (2022) 11, 115036



Run III collected data $\sim 6 \text{x} 10^{11} \, \text{PoT} \sim 10^{10} \, \text{PoT per} \, \sqrt{s} \, \text{point:}$

- 47 on-resonance points: E_{beam} @(263, 299) MeV, $\delta E_{beam} \sim 0.75$ MeV energy step
 - 2 different scan in time → Scan 1 and 2
- 6 out-of-resonance points: X_{17} production forbidden \rightarrow SM studies & sideband



The PADME Run III experimental setup



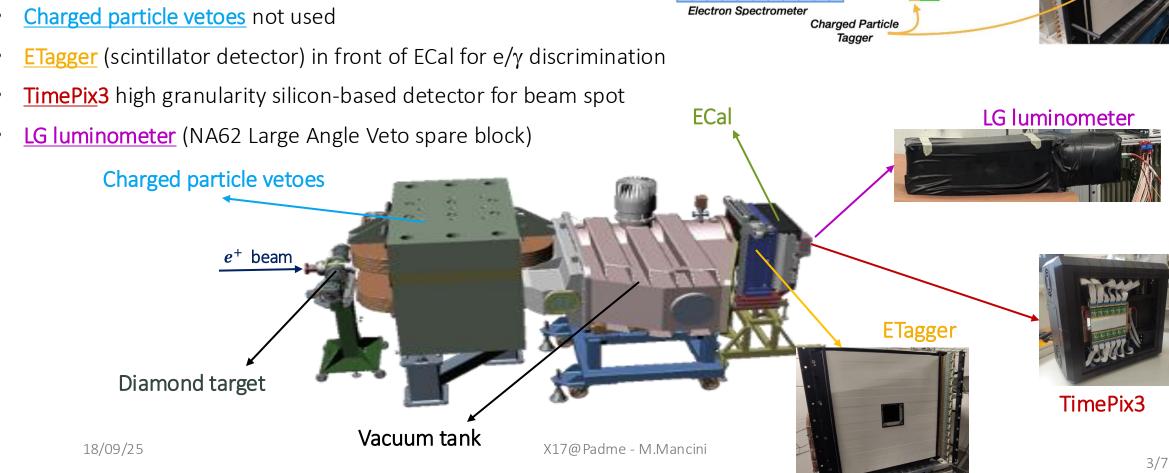
TimePix3 + LG

Electromagnetic Calorimeter

Positron Spectrometer

Run III experimental setup for the X_{17} search:

- Active target polycrystalline diamond
- PADME magnetic field off
- ECal: 616 BGO crystals, each 21x21x230 mm³



Active Diamond

Target

Analysis inputs & final error budget



Signal + bkg hypothesis $\rightarrow N_2(s) / N_{PoT}(s) B(s) = g_R(s) = K(s)[1 + S(s; M_X, g_{Ve}) \varepsilon_S(s) / B(s)]$

To be compated with

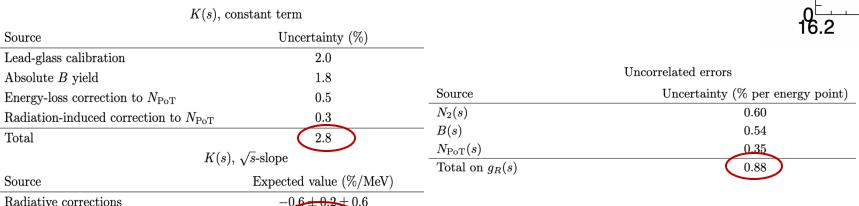
Bkg only hypothesis $\rightarrow N_2(s) / N_{PoT}(s) B(s) = K(s)$

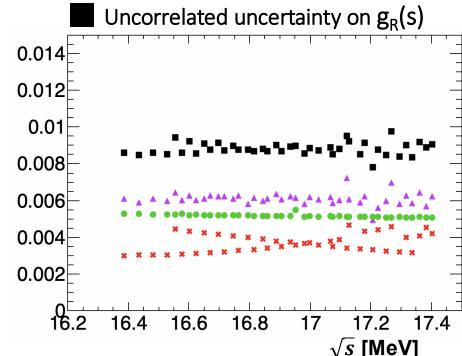
Analysis inputs:

Total

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- $K(s) \rightarrow DATA-MC$ scale factor
- $N_2(s) \rightarrow$ 2-body final states in ECal
- N_{PoT}(s) → e⁺ on target from LG beam-catcher
- $B(s) \rightarrow$ expected bkg yield per PoT
- $S(s; M_X, g_{Ve}) \rightarrow$ expected signal production for {mass, coupling} = {M_X, g_{Ve}}
- $\underline{\varepsilon(s)}$ signal acceptance and selection efficiency





The blind unblinding







Expected 90% CL UL in absence of signal:

- Likelihood fits performed for signal + background vs background only
- Total error budget: $\delta g(r) = 0.88\% \delta K(s) = 2.1\%$
- For a M_X: $CLs = \frac{P_S}{1-P_B}$ to define the UL on g_{Ve}

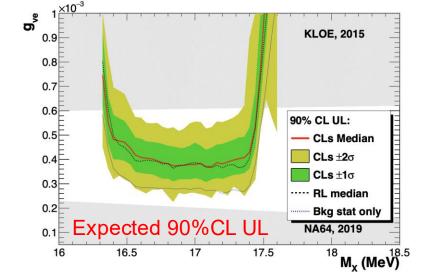
Before box opening, error estimate validation (JHEP 06 (2025) 040):

- Aim to blindly define a sideband in $g_R(s)$, excluding 10 periods of the scan
- Define the masked periods by optimizing the probability of a linear fit in \sqrt{s}
 - 1. Threshold on the χ^2 fit in side-band is $P(\chi^2) = 20\%$
 - 2.If ___, check if the fit pulls are gaussian
 - 3.If \mathbf{V} , check if a straight-line fit of the pulls has no slope in \sqrt{s} (within 2 sigma)
 - 4.If \bigvee , check if constant term and slope of the linear fit for $N_2(s)/B(s)$ are within two sigma of the

expectations

Successfully applied:

- 1. $P(\chi^2) = 74\%$,
- 2. Pulls gaussian fit probability: 60%
- 3. Slope of pulls consistent with zero
- 4. Constant term: 1.0116(16), Slope: (-0.010 ± 0.005) MeV⁻¹



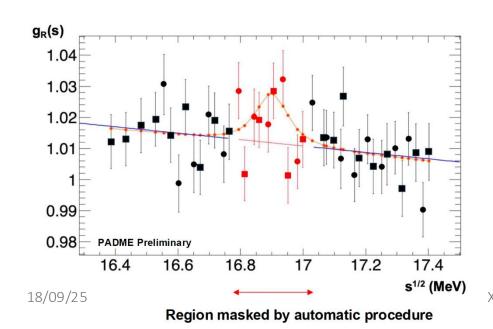
Ready to unblind

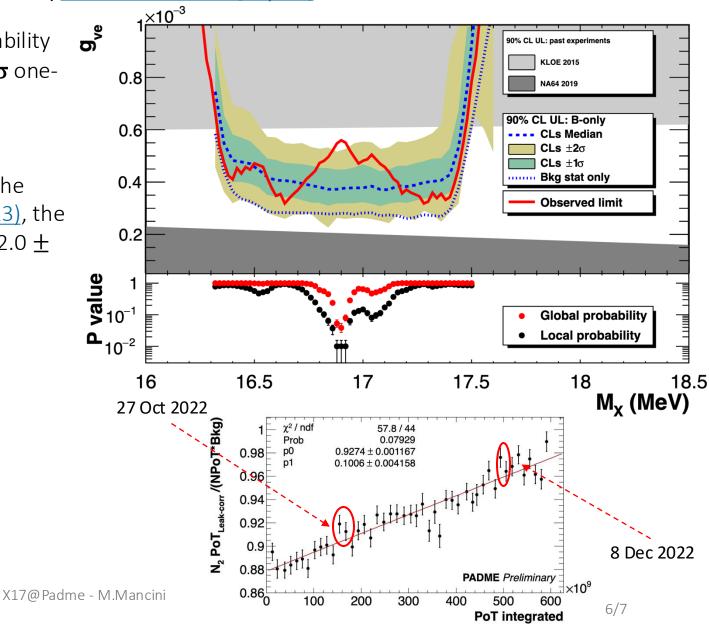
PADME Run III result and outcome



Some excess is observed around 2σ global coverage (2.5 σ local) ArXiv:2505.24797 [hep-ex]

- At M_X = 16.90(2) MeV, g_{ve} = 5.6 x 10⁻⁴, the global probability dip reaches 3.9_{-1.1}^{+1.5} %, corresponding to (1.8 \pm 0.2) σ one-sided
- A 2nd excess is present at ~17.1 MeV, but disfavoured (general probability 40%)
- If a 3 σ interval is assumed for observation following the estimate M_X = 16.85(4) MeV of <u>PRD 108, 015009 (2023)</u>, the p-value dip deepens to 2.2_{-0.8}+1.2 % corresponding to (2.0 \pm 0.2) σ one-sided





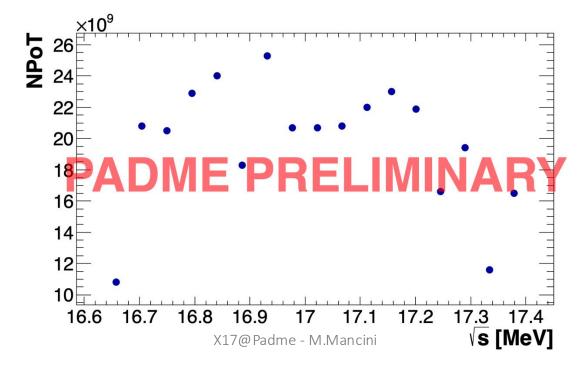
Conclusions







- The analysis has been successfully blessed using the "blind unblinding" procedure
- Overall uncertainties at 0.9% or slightly better
- No indications of X₁₇ well beyond two-sigma-equivalent global p-values
- An excess has been observed, with global p-value equivalent to $1.8(2)\sigma$
- New data acquired to better clarify:
 - 2 new micromegas-based tracker installed to measure the absolute ee/ $\gamma\gamma$ cross section allowing combined analysis
 - Run IV-part 1 data already in the books: 18 energy scan points collected (\sim 2e10 PoTs each) equally separated by 1.5 MeV in the E_{beam} = (269.5, 295) MeV / \sqrt{s} = (16.60, 17.36) MeV region
 - Run IV-part 2 already scheduled for fall 2025 → 18-20 scan points + out-of-resonance below 16 MeV and above 18 MeV









Back-up slides

Other experiments in the race

Recent result from MEG II, arXiv:2411.07994 still to be published

- Measurement on ⁷Li target to reproduce ⁸Be ATOMKI → no signal found
- ULs on $\frac{\Gamma({}^8Be^* \rightarrow {}^8Be \ X_{17}(ee))}{\Gamma({}^8Be^* \rightarrow {}^8Be \ v)}$ for 17.6 and 18.1 MeV transitions

MEG II result compatible at 1.5 σ with the ATOMKI combination M_x = 16.85(4) MeV [Barducci, et al., JHEP 04 (2025) 035]

Further attempts to verify:



AN2000 facility @INFN-LNL [data taking ongoing]



n_TOF EAR2 neutron line @CERN [2025 proposal]

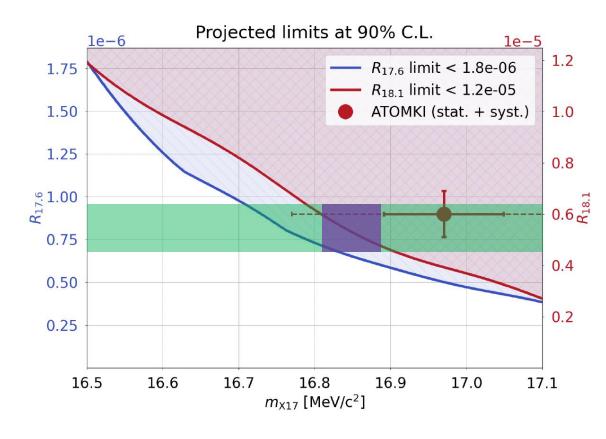


Tandem accelerator @Montreal [JPC Ser. 2391 (2022) 012008]



Van de Graaf accelerator @IEAP Prague [NIM. A 1047 (2023) 167858]





Draft of expected Run IV exclusion limit

Lessons for Run IV to improve:

- Increase monitoring power and redundancy: guarantee better stability
- Alternative flux determination: $\gamma\gamma$, new flux monitor system, target, chambers
- Increase acceptance: allow even safer treatment for edge effects
- Increase statistics per energy points

Assumptions for Run IV:

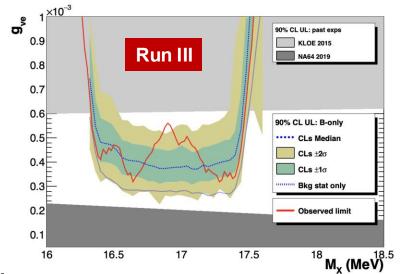
- x2 acceptance increase (target closer to ECal + Phi-cut removal)
- x2 statistics increase, 1.5 x 10¹⁰ POT per energy point
- 2 days for data collection, 3000 e⁺ / spill as in Run III
- Points divided into 2 scans: 16—20 points per scan (summer autumn)
- Stable beam condition + no target runs for bkg studies

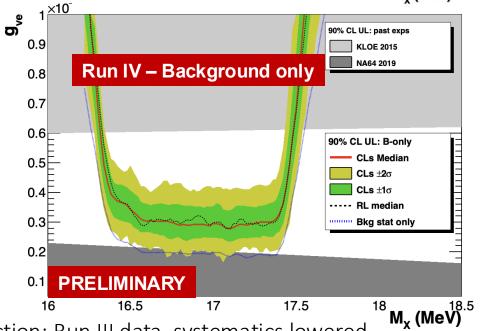
Source	Uncertainty [%]	
	Run III	Run IV
N_2	0.6	0.3
N _{PoT}	0.35	0.3
В	0.55	0.3
Total on g _R	0.89	0.5









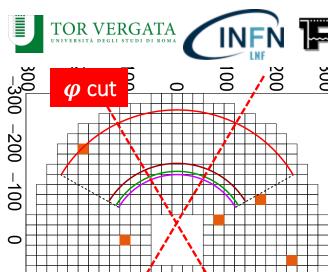


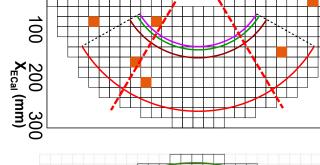
Projection: Run III data, systematics lowered

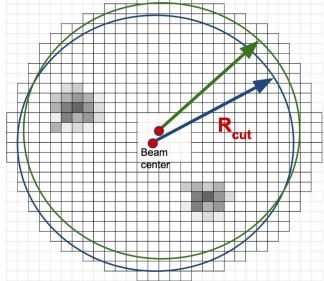
N₂ selection cuts

Selection algorithm as independent as possible on beam and detector conditions:

- Selected a cluster pair with the following criteria
 - Maximum radius defined by ECal dimensions
 - Energy within the "two-cluster" kinematic range
 - Minimum radius within the "two-cluster" kinematic range →
 following the beam center conditions
 - Illumination clearly affected by material along the beam line (magnet bore) \rightarrow Cut regions in φ
- Mutual cluster conditions:
 - ΔT (clu0-clu1) < 5 ns
 - ΔR (clu0-clu1) > 60 mm (Minimum 2CL difference)
 - $\pmb{\phi_1} \pmb{\phi_2}$ vs $\pmb{\theta_1} + \pmb{\theta_2}$ cut in the center of mass frame isolates the signal







N₂ selection and Bremsstrahlung substraction

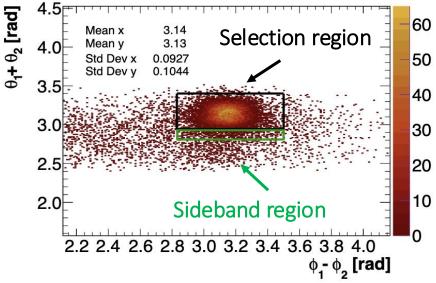
- $\phi_1 \phi_2$ vs $\theta_1 + \theta_2$ cut isolates the signal \rightarrow 3 σ around the mean value
- 2 Clusters event surviving the whole set of cuts:
 - $E_1 + E_2 = E_{beam}$ as expected for a 2-body final state process
 - Time coincidence verified
- Flat beam bkg in $\phi_1 \phi_2 \rightarrow$ bkg level < 4%
- Bremsstrahlung tail in $heta_1+ heta_2$ subtracted by using MC shape on the sideband
- \rightarrow Statistical error: $\delta N_2 \sim 0.6\%$ up to 0.7%
- \rightarrow Systematic uncertainty due to bkg subtraction: $\delta N_2 \sim 0.3\%$

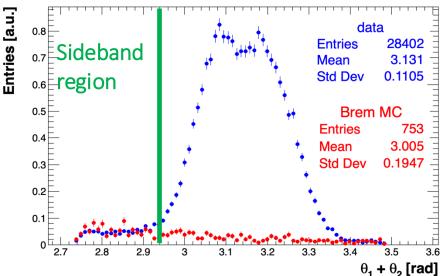
Source	Error on N ₂ [%]
Statistics	~0.6
Background subtraction	0.3
Total	0.65











Shape of ee signal due to residual PADME magnetic field → Fully modelled using MC + detailed map

The SM bkg B uncorrelated error budget







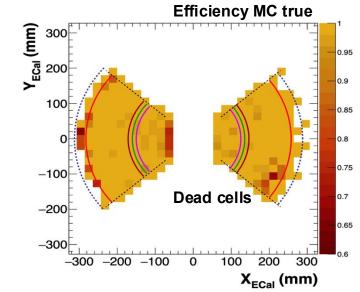
The expected background yield B is determined with MC + data-driven checks

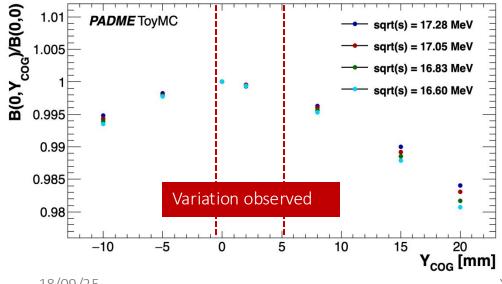
Reconstruction efficiency:

- Data/MC efficiency with tag-and-probe technique
- bkg subtraction at tag level dominates the statistical-systematic error $\rightarrow \delta B = 0.35\%$

The selection relies on the expected beam direction: spot measured at the target and the Center of Gravity (COG) of 2 body final states at ECal

- Systematic shifts in the COG position → acceptance systematic errors
- Largest effect in y due to acceptance limitations (magnet bore)
- Fractional variations range from 0.08% to 0.1% mm⁻¹ for \sqrt{s} = (16.4, 17.3) MeV





Source	Error on B [%]
MC statistics	0.40
Data/MC eff. (Tag&Probe)	0.35
Cut stability	0.04
Beam spot variations	0.05
Total	0.54

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The N_{PoT} error budget







Flux N_{PoT} determined using LG detector charge:
$$N_{PoT} = \frac{Q_{LG}}{Q_{1e^+,402\,[\text{MeV}]}} \times \frac{402\,\text{MeV}}{E_{beam}\,[\text{MeV}]} \rightarrow \text{common systematic error @2\%}$$

2 main effects: radiation induced loss + energy loss in passive material

- Run III radiation dose ~ 2.5 krad → transparency changes for O(krad)
 - Estimated from 3 flux proxy observables: $Q_{target-x}$, $\langle E_{ECal} \rangle$, period multiplets
 - LG yield decreases with relative PoT slope of 0.097(7) \rightarrow Slope error included $\delta N_{PoT} = 0.35\%$ (after correction applied)
 - Constant term uncertainty of $\delta N_{PoT}=0.3\%$ added as scale error
- Loss due to beam movements during the whole Run III → passive material crossing
 - Checked against data of October test beam + MC simulation \rightarrow systematic correlated error $\delta N_{PoT}=0.5\%$

Uncorrelated systematic errors on N_{PoT}

Source	Error on N _{POT} [%]
Statistics, ped subtraction	negligible
Energy scale from BES	0.3
Rad. induced loss, slope	Variable, ∼0.35
Total	0.45

Common systematic errors on N_{PoT}

Source	Common error on N _{POT} [%]
pC / MeV (<u>JHEP 08 (2024) 121</u>)	2.0
Energy loss, data/MC	0.5
Rad. induced loss, const. term	0.3
Total	2.1

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Signal shape and ε/B

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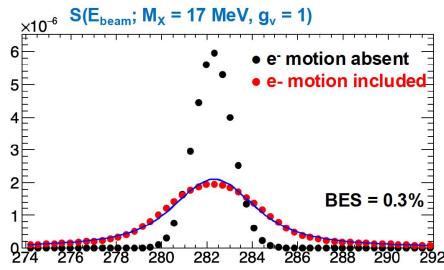


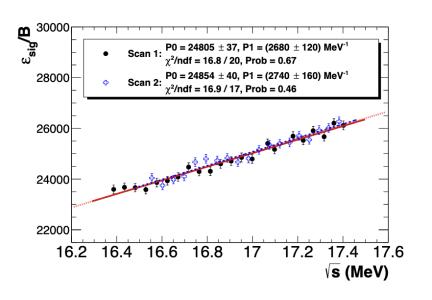
Electron motion inside the target changes significantly the resonance shape \rightarrow not anymore just a gaussian with σ equal to the

beam energy spread

• Signal parametrized vs E_{beam} with a **Voigt** function:

- Convolution of the gaussian BES with the Lorentzian
- Uncertainty in the curve parameters as nuisances:
 - Lorentzian width around the resonance energy: 1.72(4) MeV
 - Relative BES: 0.025(5)%
- Expected signal efficiency *E* determined from MC:
 - Large cancellation of systematic errors if using ε /Β
- Fit $\varepsilon(s)/B(s)$ with a straight line \rightarrow fit parameters as nuisances:
 - Errors: δ PO/PO ~ 0.1%, δ P1/P1 = 3%, correlation = -2.5%

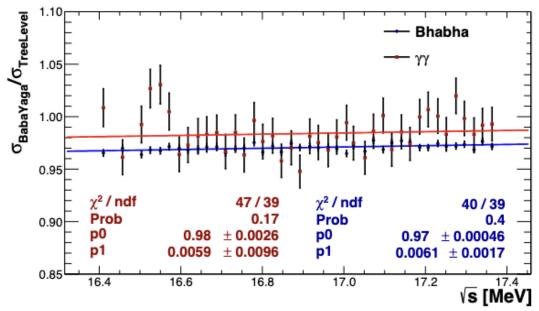




Possible scale effects – K(s)



Radiative corrections evaluated using BabaYaga \rightarrow e⁺e⁻(γ) and $\gamma\gamma(\gamma)$ (Nucl. Phys. B 758 (2006) 227, Phys. Lett B 663 (2008) 209)

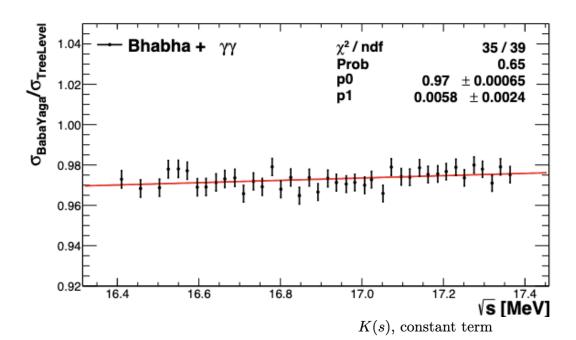


Possible offset \rightarrow -2.8% @ 16.92 MeV Possible slope with $\sqrt{s} \rightarrow$ -0.6(6)% MeV⁻¹

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The scaling with the below resonance is affected by a -1.5(1.5)% shift because of radiative correction, but the expected total error covers for it: $1.8\%(B) + 2.1\%(N_{PoT}) = 2.8\%$

Insertion of Babayaga-generated events in the MC (up to 10 γ 's) \rightarrow no effect on ϵ (s)



Source	Uncertainty (%)
Lead-glass calibration	2.0
Absolute B yield	1.8
Energy-loss correction to $N_{ m PoT}$	0.5
Radiation-induced correction to N_{PoT}	0.3
Total	2.8

 $K(s), \sqrt{s}\text{-slope}$ Source Expected value (%/MeV)

Radiative corrections $-0.6 \pm 0.2 \pm 0.6$ Total -0.6 ± 0.6