

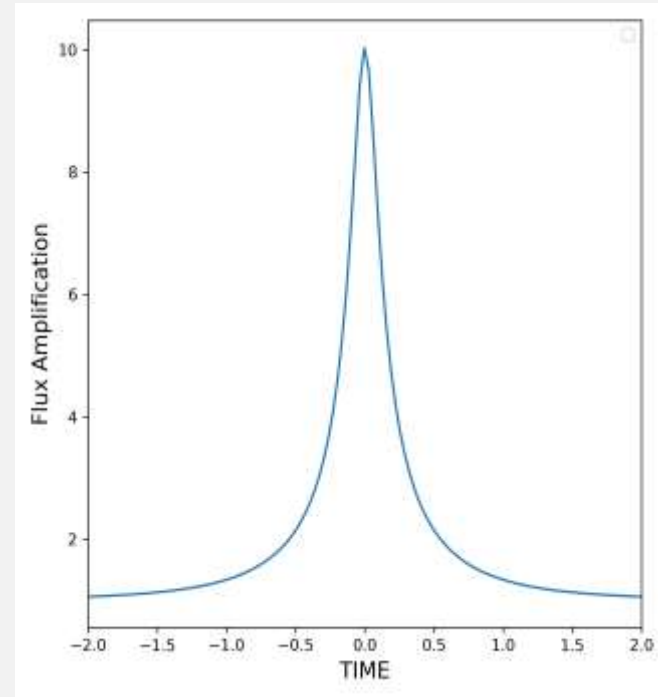
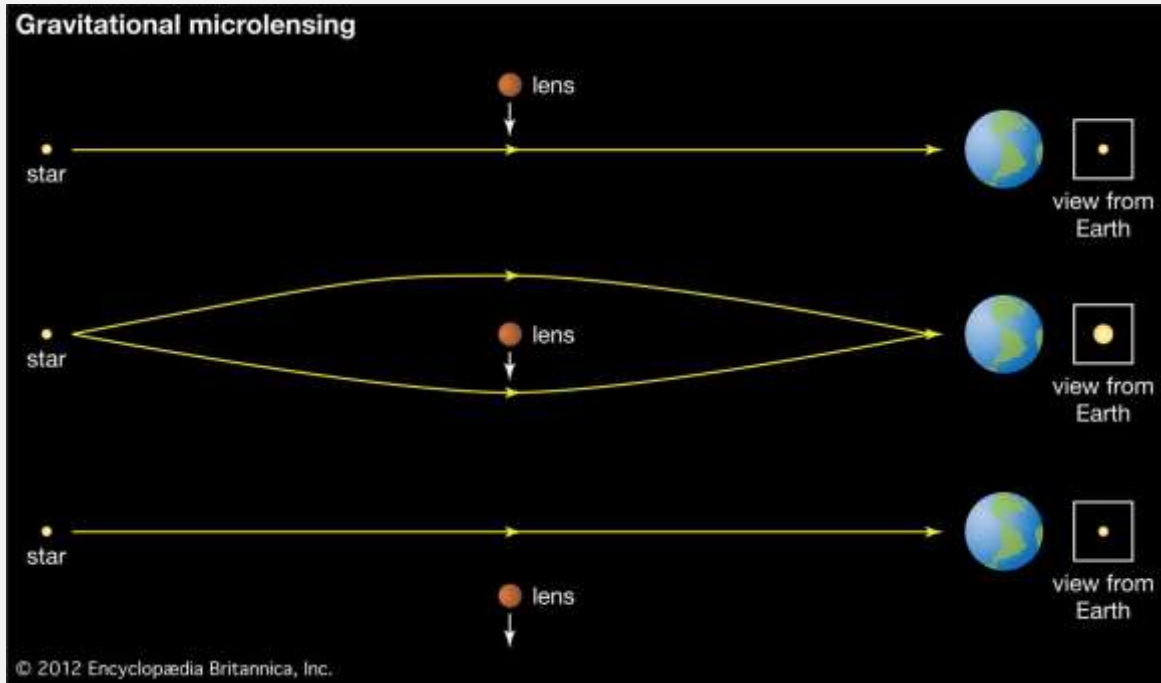
# **POLARIMETRIC MICROLENSING AS A TOOL FOR BREAKING DEGENERACIES IN COMPACT OBJECT LENSING TOWARD THE GALACTIC BULGE**

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# WHAT IS GRAVITATIONAL MICROLENSING?



➤ *Light from a background source is bent by a foreground lensing object, reaching the observer.*

➤ *Observed brightness increases as alignment improves, peaking at closest approach.*

# PARAMETER DEGENERACY

A microlensing event is described by three parameters:

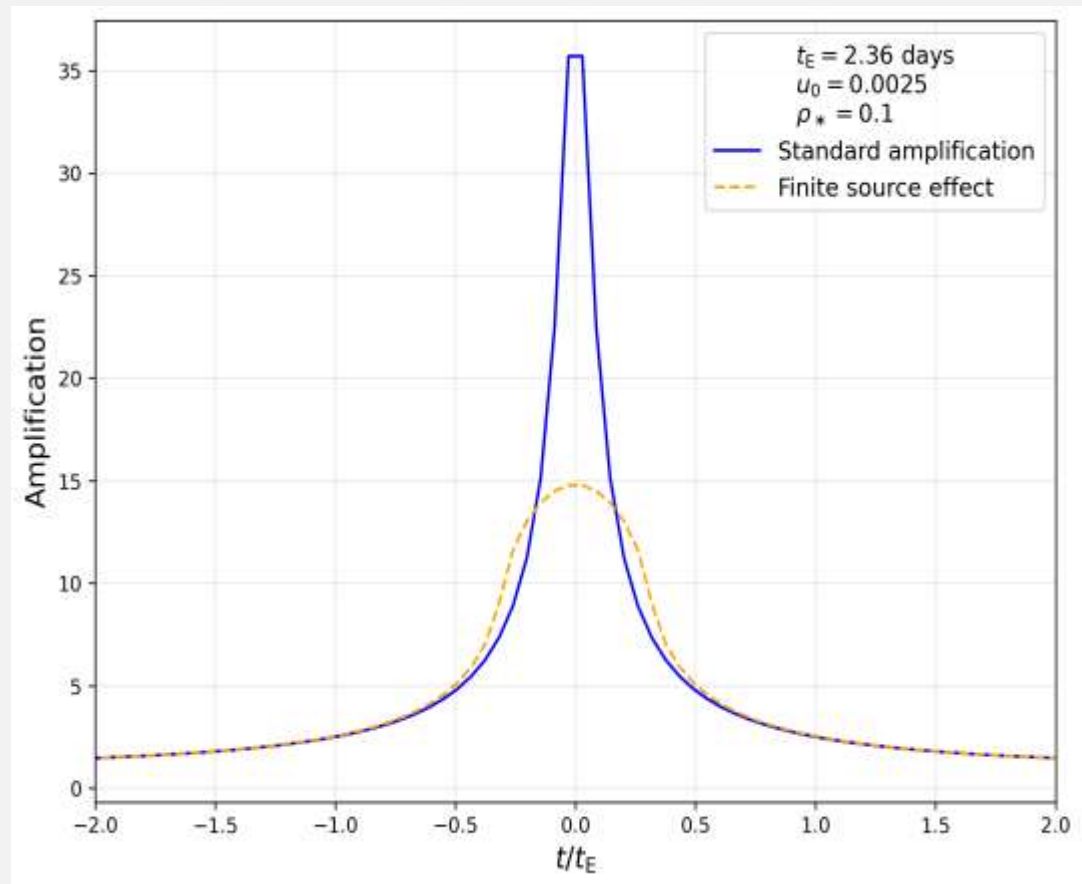
- Time of maximum amplification -  $t_0$
- Einstein time  $T_E$
- impact parameter  $u_0$

$$\circ T_E = R_E / V_T$$

$$\circ R_E = \sqrt{\frac{4GM_L}{c^2} \left( \frac{1}{D_L} - \frac{1}{D_S} \right)}$$

# MICROLENSING LIGHT CURVE

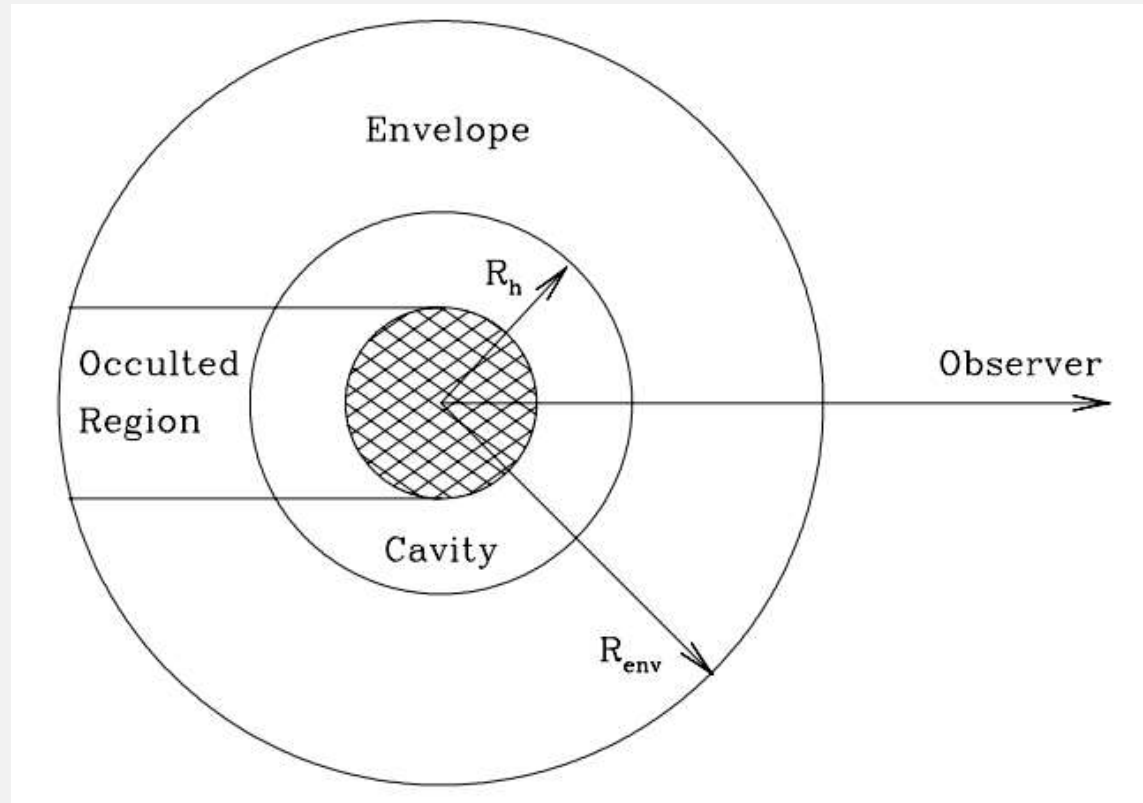
- 1. Standard Amplification (Paczynsky)
- 2. Finite source size effects
- 3. Parallax
- 4. Astrometric shift
- 5. Polarization signal



➤ **Figure 1.** Comparison of standard point-source light curve (blue) and finite-source model (red), showing peak suppression and broadening.

# POLARIZATION EFFECTS

- Assumes:
  - **Spherically symmetric, optically thin envelope**
  - **Single scattering**
  - **Central cavity possible**
  - **Radial density profile of the envelope:**  $n = n_0 \left( \frac{R_h}{r} \right)^\beta$



**Figure 2:** Geometry of the circumstellar envelope model adopted from Simmons et al. (2002). The central source has radius  $R_*$  and the scattering envelope extends from  $R_h$  to  $R_{env}$ . A cavity exists between the stellar surface and the inner edge of the envelope.

# POLARIZATION SIGNAL

$$\bullet P(p_l) = \frac{\tau_{sc} H_p(p_l)}{H_*(p_l) + \tau_{sc} H_I(p_l)}$$

➤ Where  $\tau_{sc}$  is the optical depth of the envelope

$$\text{➤ } H_P(p_L) = \frac{3(\beta-1)}{16\pi} R_h^{\beta-1} \int_0^{2\pi} \cos 2\alpha' d\alpha' \int_0^\infty g_0(p) p^{\beta+1} A(p, \alpha') G_P p dp$$

$$\text{➤ } H_*(p_L) = \frac{1}{\pi R_*^2} \int_0^{2\pi} d\alpha' \int_0^{R_*} A(p, \alpha') p dp$$

$$\text{➤ } H_I(p_L) = \frac{3(\beta-1)}{16\pi} R_h^{\beta-1} \int_0^{2\pi} d\alpha' \int_0^\infty A(p, \alpha') g_0(p) p^{\beta+1} G_I p dp$$

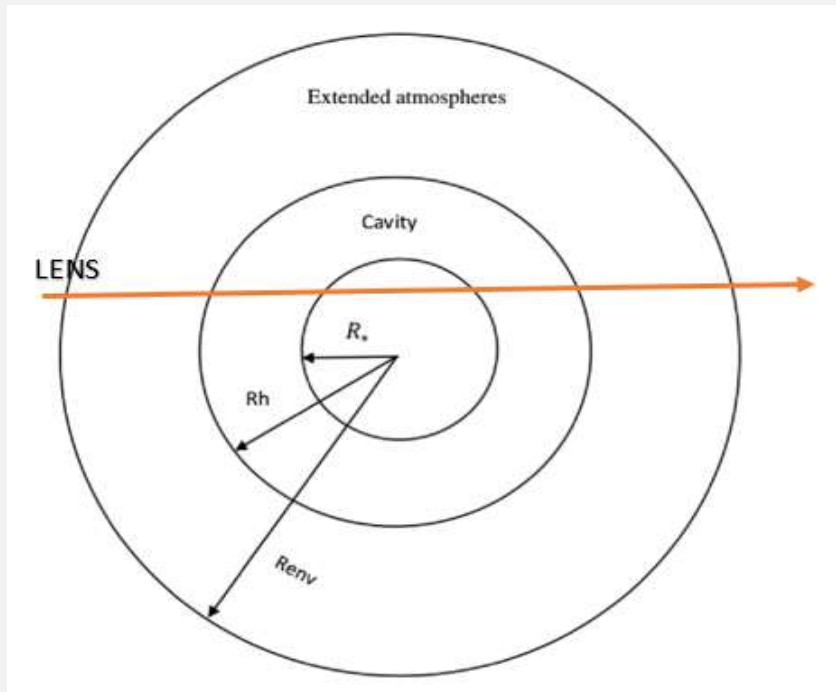
$$\text{➤ } M(p_l) = H_*(p_l) + \tau_{sc} H_I(p_l) \text{ is the total flux amplification.}$$

Polarization angle:

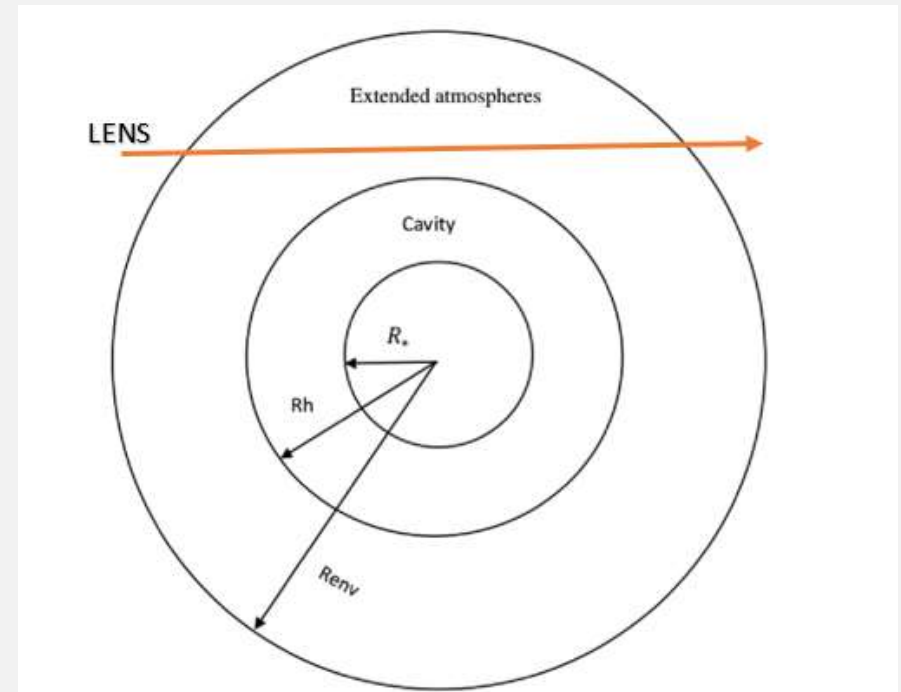
$$\bullet \Psi = \pi - \tan^{-1} \left[ \frac{\theta_0}{\mu_{rel}(t-t_0)} \right]$$

Changes from  $0^\circ$  to  $180^\circ$  and at closest approach the direction of polarization is parallel to the lens direction of travel

# TRANSIT AND BYPASS POLARIZATION REGIMES



- TRANSIT



- BYPASS

# ROMAN SPACE TELESCOPE

- *It is scheduled to launch in 2027, at L2 point of the Earth-Sun system.*
- *It will observe in optic and NIR (from 0.48 to 2.3  $\mu\text{m}$ )*
- **7 fields in Galactic Bulge**  
(~2 square degree centered on  $l=0.8^\circ$ ,  $b=-1.4^\circ$ )
- **6 seasons during 5 year, 62 days per season**
- *Cadence 15 min*





# FORS2 POLARIMETER AT VLT

The **Very Large Telescope (VLT)** is located at **Paranal Observatory**, in the **Atacama Desert, Chile**. It is operated by the **European Southern Observatory (ESO)** and is one of the most advanced optical telescopes in the world.

- **wavelength range from 330 nm to 1100 nm**
- **Each measurement takes 18 minutes (Exposure time+ Readout time)**
- **The FORS2 precision is 0.1%**

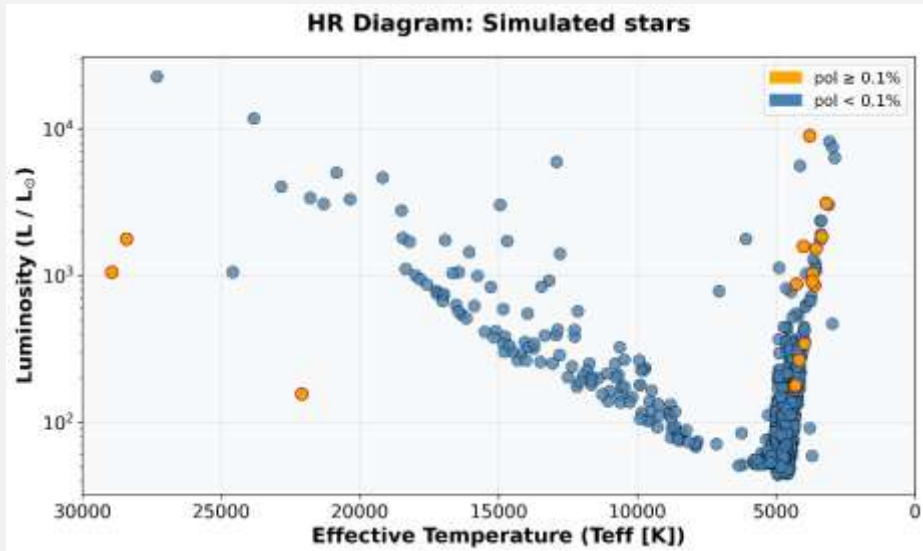
# SYNTHETIC RGB POPULATION

- **Simulation Tool:** IAC-STAR online synthetic stellar population generator
- **Sample:** 1,000 bulge stars ( $L$ ,  $T_{\text{eff}}$ ,  $g$ ,  $Z$ )
- **Purpose:** Identify stars with envelope optical depth  $\tau > 0.01$

$$\tau_{sc} = 2 \times 10^{-3} \eta \kappa \left( \frac{\dot{M}}{10^{-9} M_{\odot} \text{yr}^{-1}} \right) \left( \frac{30 \text{ km s}^{-1}}{v_{\infty}} \right) \left( \frac{24 R_{\odot}}{R_h} \right)$$

$$v_{\infty} = 14 \left( \frac{L_*}{1000 L_{\odot}} \right)^{0.3} \left( \frac{\rho}{200} \right)^{-0.5} \left( \frac{\text{km}}{\text{s}} \right)$$

$$\dot{M} = 4\xi \times 10^{-13} \frac{(L_*/L_{\odot})}{\left( \frac{g_*}{g_{\odot}} \right) \left( \frac{R_*}{R_{\odot}} \right)} (M_{\odot} \text{yr}^{-1})$$



➤ **Figure 3.** Simulated H-R diagram for 1000 bulge stars.

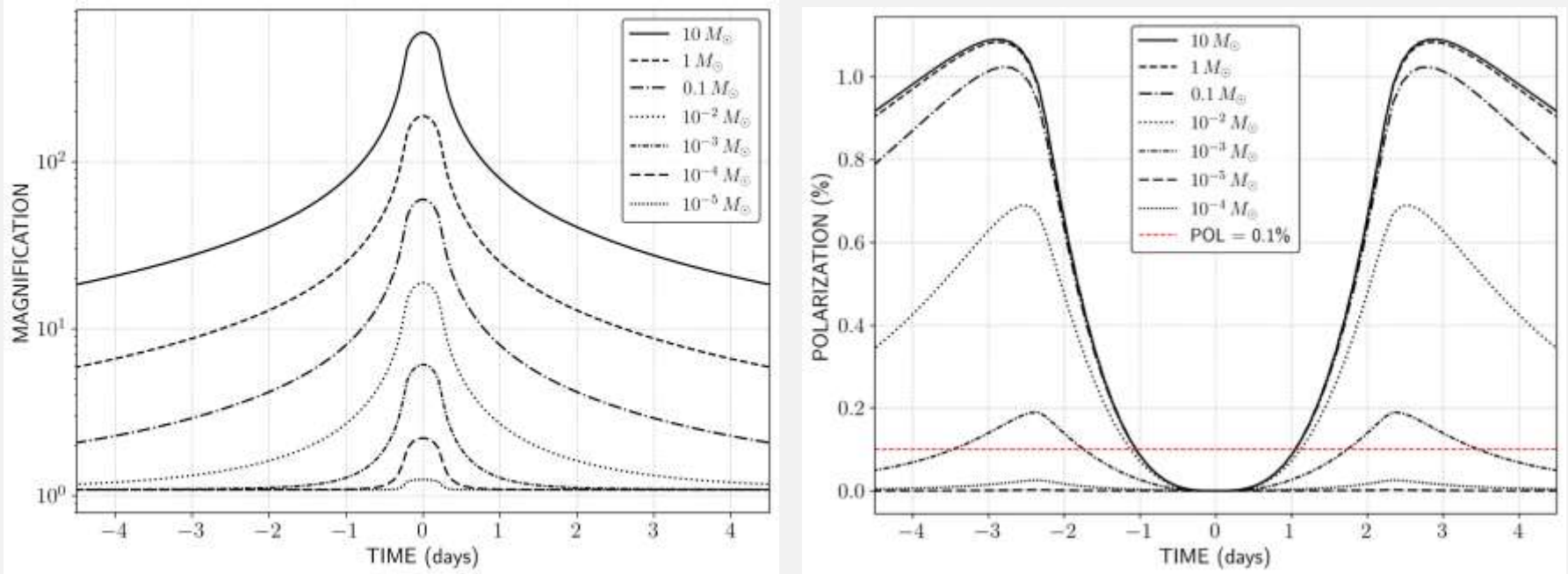
- 1.6% produce a polarization signal above the 0.1% threshold and are therefore deemed detectable with the FORS2 instrument
- 56.25% of which were classified as transit and 43.75% as bypass.

# MAGNIFICATION AND POLARIZATION SIGNAL ( $M_L$ )

- Stellar radius fixed at  $R_* = 20 R_\odot$
- Inner radius  $R_h = 9 R_*$
- optical depth  $\tau = 0.1$
- Lens mass range  $10^{-5} - 10 M_\odot$

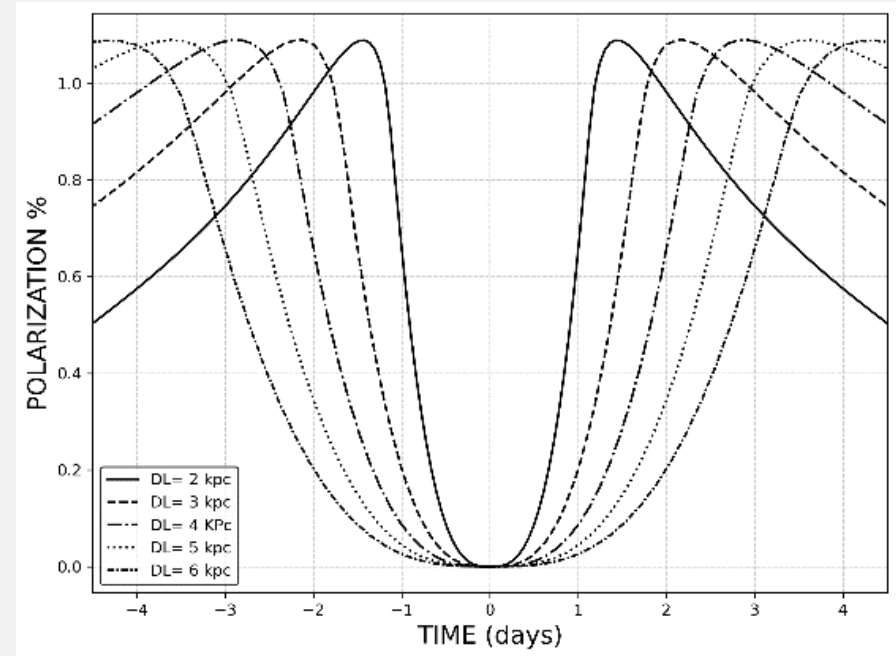
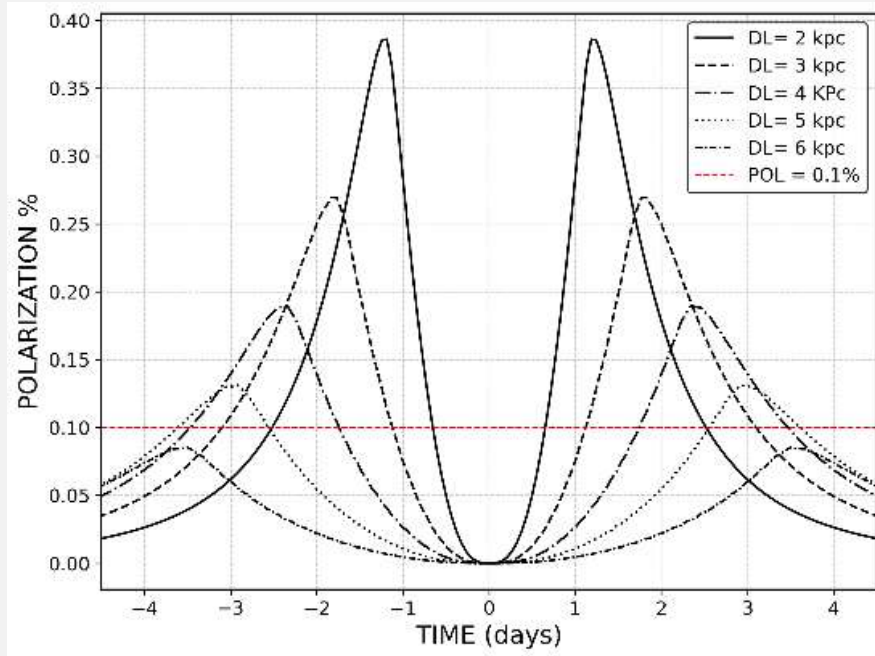
## Key results:

- For lens masses  $< 10^{-3} M_\odot$  polarization signal is negligible.
- Between  $10^{-3} - 10 M_\odot$  polarization increases with mass
- For lens masses  $> 10 M_\odot$  polarization reaches a plateau and remains constant



**Figure 4.** Left: Flux magnification over time for different lens masses at distance  $DL = 4$  kpc from the observer. Right: The corresponding polarization curves for each mass. Red line shows the polarization scale sensitivity threshold of FORS2 polarimeter at the VLT

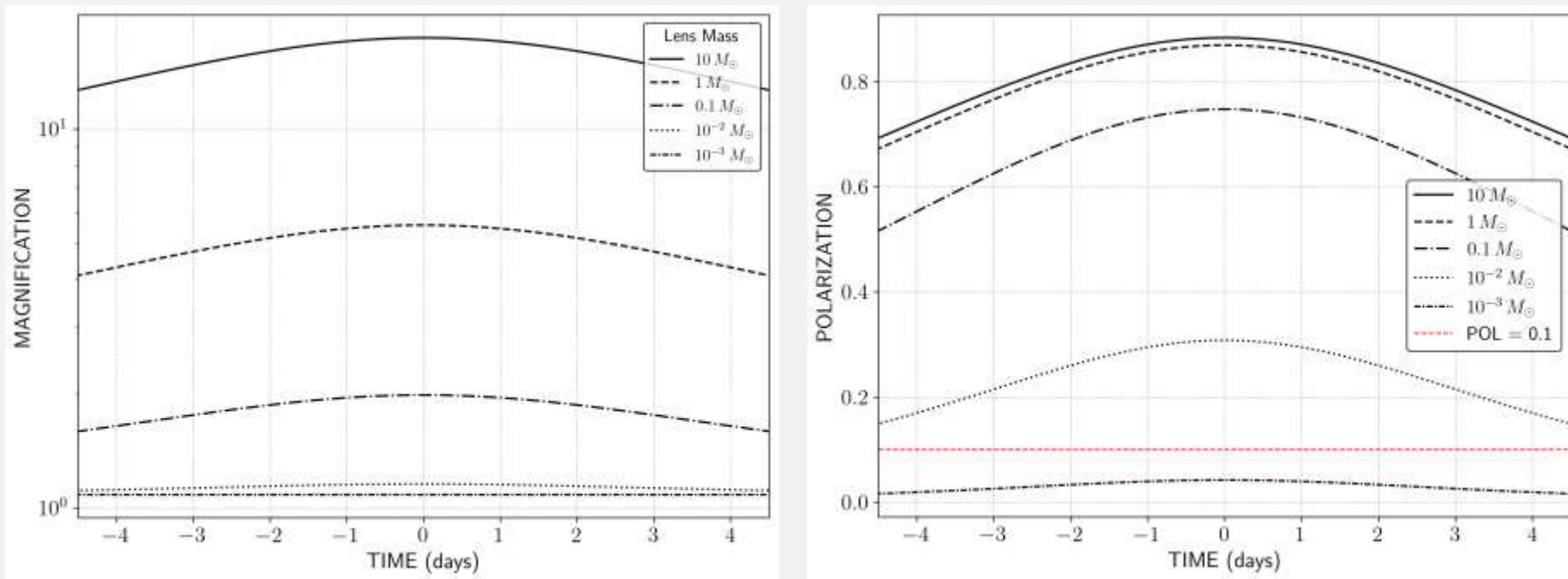
# TRANSIT EVENT (DL)



**Figure.** Polarization curves for fixed lens mass at  $0.001 M_{\odot}$  (left) and  $10 M_{\odot}$  (right) at  $D_L = 2, 3, 4, 5, 6$  kpc.

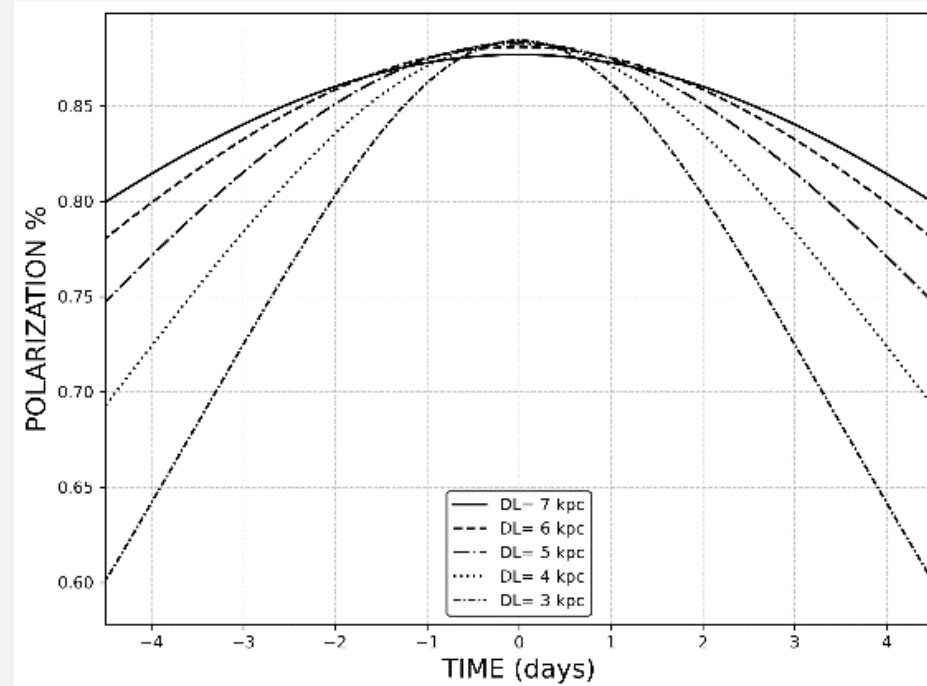
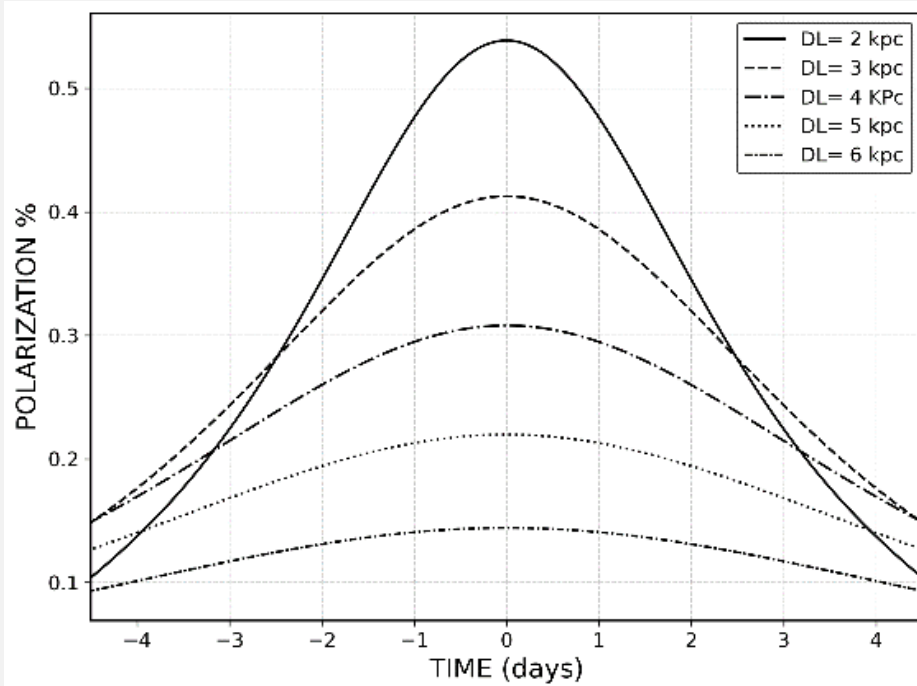
## BYPASS EVENTS ( $M_L$ )

- When increasing the impact parameter events shift from **transit** to **bypass**
- For lens masses  $< 0.01 M_\odot$  polarization signal is negligible.
- Between  $0.01 - 10 M_\odot$  polarization increases with mass
- For lens masses  $> 10 M_\odot$  polarization saturates and shows little change



**Figure 8.** Left: Flux magnification curves for fixed lens distance  $DL=4$  kpc and different masses in bypass events. Right: Corresponding polarization curves. Red line: polarization threshold of 0.1%

## BYPASS EVENTS (DL)



**Figure 10.** Bypass events polarization curves for fixed lens mass at  $0.01 M_{\odot}$  (left) and  $10 M_{\odot}$  (right) at  $D_L = 2, 3, 4, 5, 6$  kpc

# CONCLUSIONS

- *For subsolar lens masses, the polarization signal weakens with increasing lens distance, whereas for lens masses  $\geq 10 M_{\odot}$  it is maximized and remains roughly constant with distance.*
- *The best range for a detectable signal is between  $10^{-3}$  to  $10^2 M_{\odot}$  at a distance  $\geq 5$  kpc, with the highest signal appearing in transit events.*
- *For bypass events, polarization signal follows the same trend as in transit but at a lower peak. It is negligible for lens mass  $< 10^{-2} M_{\odot}$  and becomes constant for lens mass  $> 10 M_{\odot}$*
- *From our simulations we find that 1.6% of events produce a measurable signal. 56.25% of these events were classified as transit and 43.75% as bypass.*

THANK YOU FOR YOUR  
ATTENTION!