

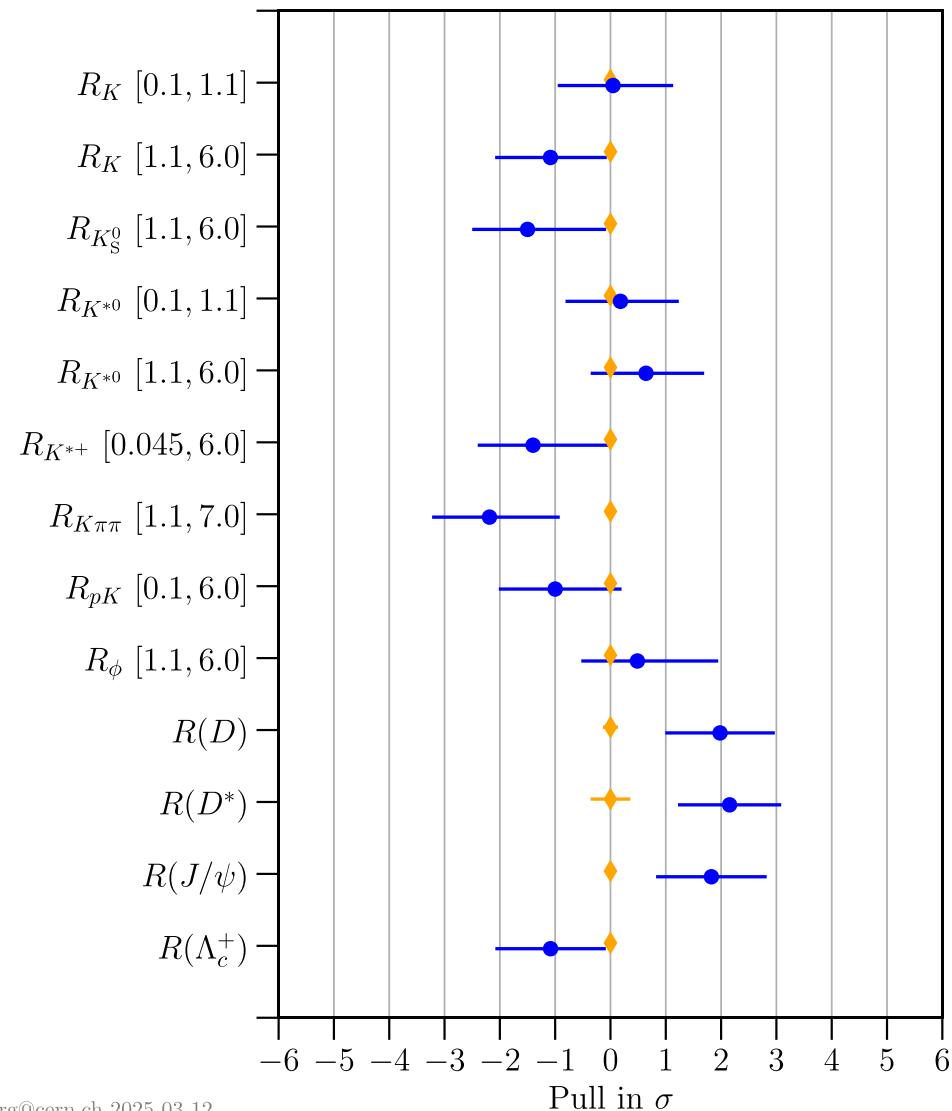
Lepton Flavor Universality in $t\bar{t}l^+l^-$ at CMS

29 Avril 2025

David Amram (IP2I Lyon)

Under the supervision of Nicolas Chanon (IP2I Lyon)

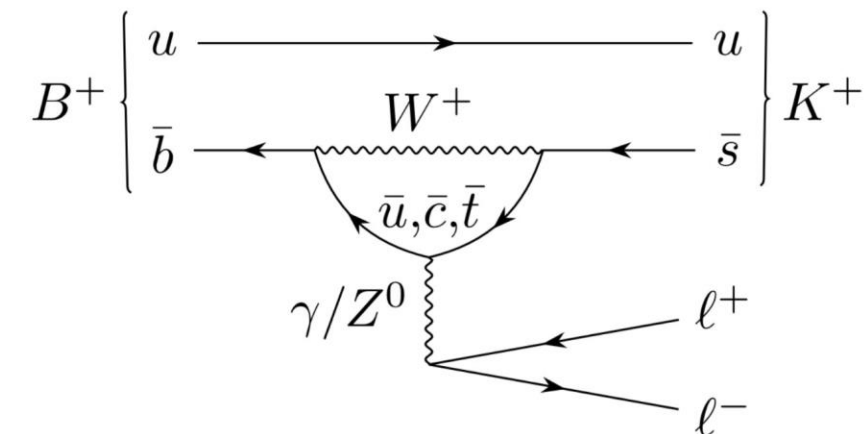
Context : Lepton Flavor Violation



R is the ratio of branching fractions

$$R_X = \frac{\mathcal{B}(B \rightarrow X\mu^+\mu^-)}{\mathcal{B}(B \rightarrow Xe^+e^-)}$$

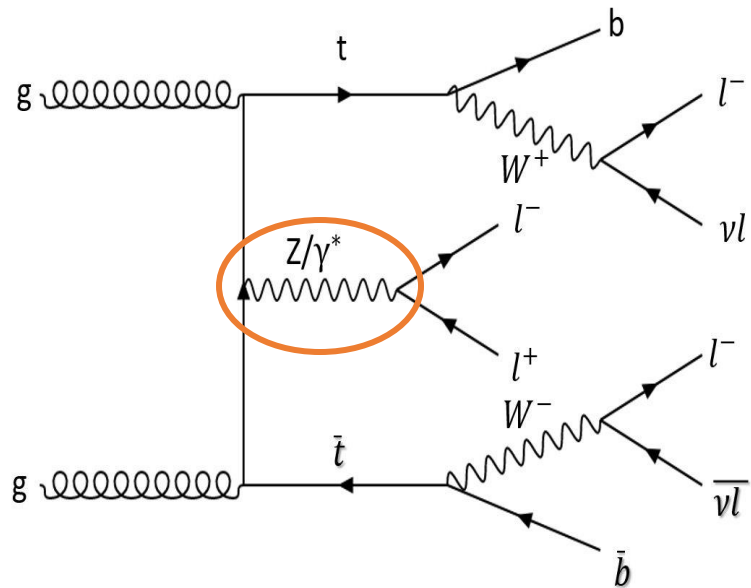
These deviations could be signatures of **LFV-physics**.



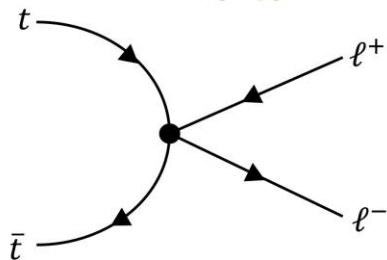
The top quark appears in loop-level diagrams.

**Searching for LFU violation
involving top quarks**

Top pair production associated with lepton pair production (signal)



The propagator can be replaced with an EFT vertex



$$\mathcal{L}_{EFT}^{(6)} = \mathcal{L}_{SM} + \sum_i \frac{c_i^{(6)}}{\Lambda_i^{(6)}} O_i^{(6)} + h.c.$$

7 operators contribute to top-lepton coupling -> 7 coefficients to measure

Dimension 6 operators	Associated WCs	2σ constraints
$\mathcal{O}_{lq}^{1(\ell)} = (\bar{\ell}\gamma^\mu \ell)(\bar{q}\gamma_\mu q)$	$c_{Q\ell}^{-(\ell)} \equiv C_{lq}^{1(\ell)} - C_{lq}^{3(\ell)}$	$[-1.58, 2.28]$
$\mathcal{O}_{lq}^{3(\ell)} = (\bar{\ell}\gamma^\mu \tau^I \ell)(\bar{q}\gamma_\mu \tau^I q)$	$c_{Q\ell}^{3(\ell)} \equiv C_{lq}^{3(\ell)}$	$[-2.84, 2.55]$
$\mathcal{O}_{lt}^{(\ell)} = (\bar{\ell}\gamma^\mu \ell)(\bar{t}\gamma_\mu t)$	$c_{t\ell}^{(\ell)} \equiv C_{lt}^{(\ell)}$	$[-1.80, 2.11]$
$\mathcal{O}_{eq}^{(\ell)} = (\bar{e}\gamma^\mu e)(\bar{q}\gamma_\mu q)$	$c_{Qe}^{(\ell)} \equiv C_{eq}^{(\ell)}$	$[-1.91, 1.96]$
$\mathcal{O}_{et}^{(\ell)} = (\bar{e}\gamma^\mu e)(\bar{t}\gamma_\mu t)$	$c_{te}^{(\ell)} \equiv C_{et}^{(\ell)}$	$[-1.78, 2.21]$
$\mathcal{O}_{leqt}^{1(\ell)} = (\bar{\ell}e)(\bar{q}t)$	$c_t^{S(\ell)} \equiv \text{Re}[C_{leqt}^{1(\ell)}]$	$[-2.60, 2.62]$
$\mathcal{O}_{leqt}^{3(\ell)} = (\bar{\ell}\sigma^{\mu\nu} e)(\bar{q}\sigma_{\mu\nu} t)$	$c_t^{T(\ell)} \equiv \text{Re}[C_{leqt}^{3(\ell)}]$	$[-0.37, 0.37]$

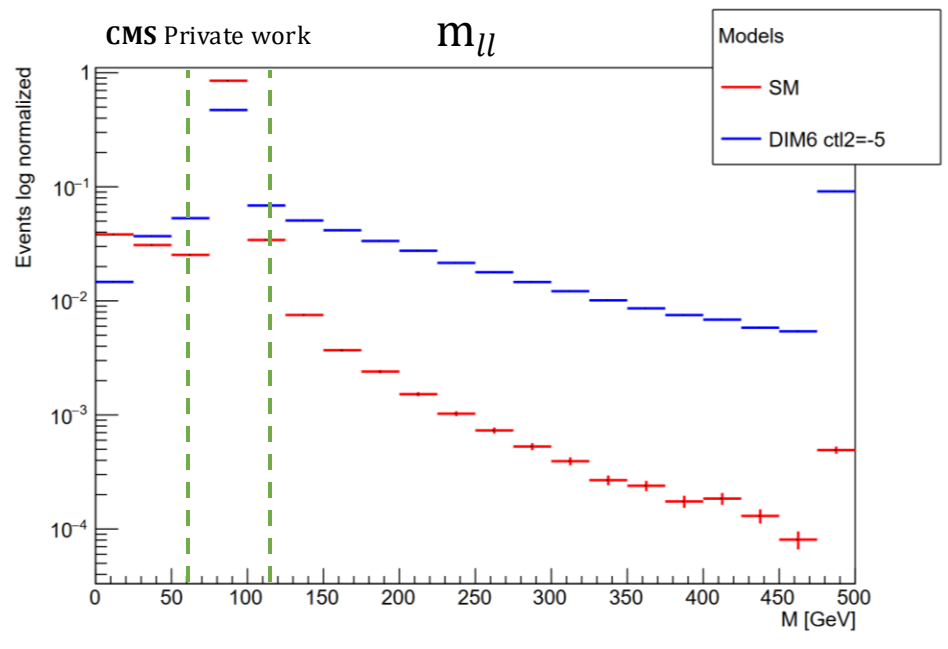
Values taken from arXiv:2307.15761v2

Simulated EFT sample for each Wilson coefficient

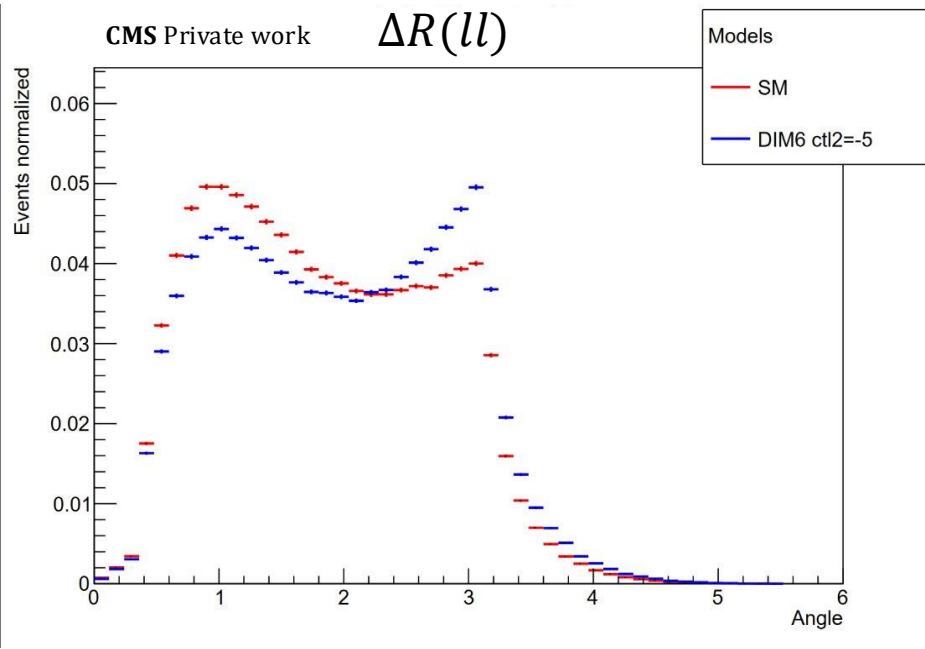
EFT impact on Kinematic Variables at parton level

Kinematic variables built using the Opposite Sign Same Flavor (OSSF) pair with the largest p_T vectorial sum.
Generated using MadGraph5@NLO

$$\Delta R = \sqrt{\Delta\Phi^2 + \Delta\eta^2}$$



3 regions can be defined on/off Z-peak, with new physics primarily observed away from the Z resonance



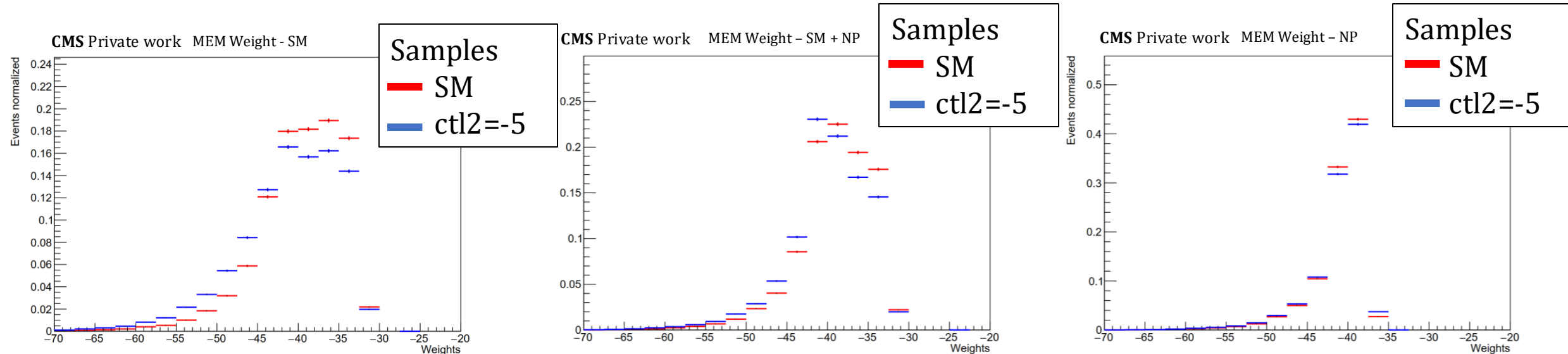
Back-to-back emissions are slightly preferred in LFV physics.

EFT impact on Kinematic Variables at parton level

Another kinematic variable can be built using the Matrix Element Method (MEM)

Matrix Elements are taken from MadGraph5 with dim6top ufo model

$$w_{i,\alpha}(\Phi') = \frac{1}{\sigma_\alpha} \int d\Phi_\alpha \cdot \delta^4\left(p_1^\mu + p_2^\mu - \sum_{k \geq 3} p_k^\mu\right) \cdot \frac{f(x_1, \mu_F) f(x_2, \mu_F)}{x_1 x_2 s} \cdot \left| \mathcal{M}_\alpha(p_k^\mu) \right|^2 \cdot W(\Phi' | \Phi_\alpha)$$



Use of a Boosted Decision Tree (BDT) to distinguish:

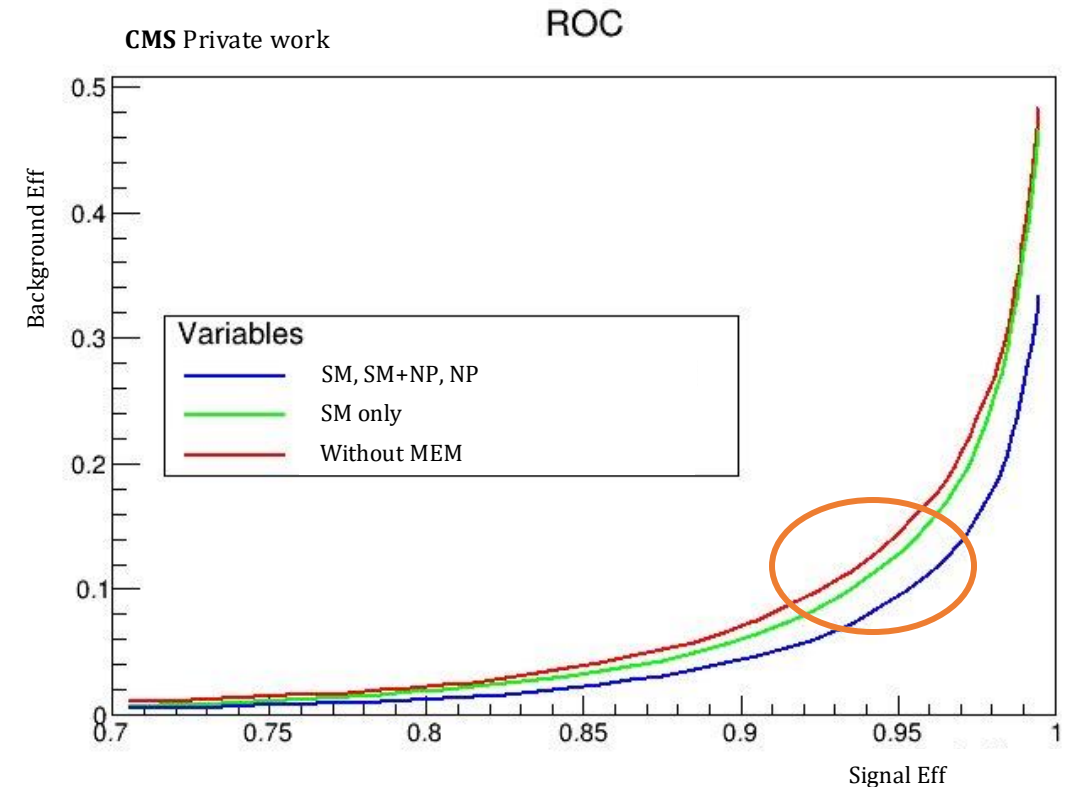
- Standard Model (SM) processes → background
- Effective Field Theory (EFT) contributions → signal

Input: $\Delta R(ll)$, m_{ll}

Comparison of hypotheses using the Matrix Element Method (MEM):

- SM-only
- New Physics (NP)-only
- SM + NP combined

**Relative reduction of background
noise efficiency by 30%**



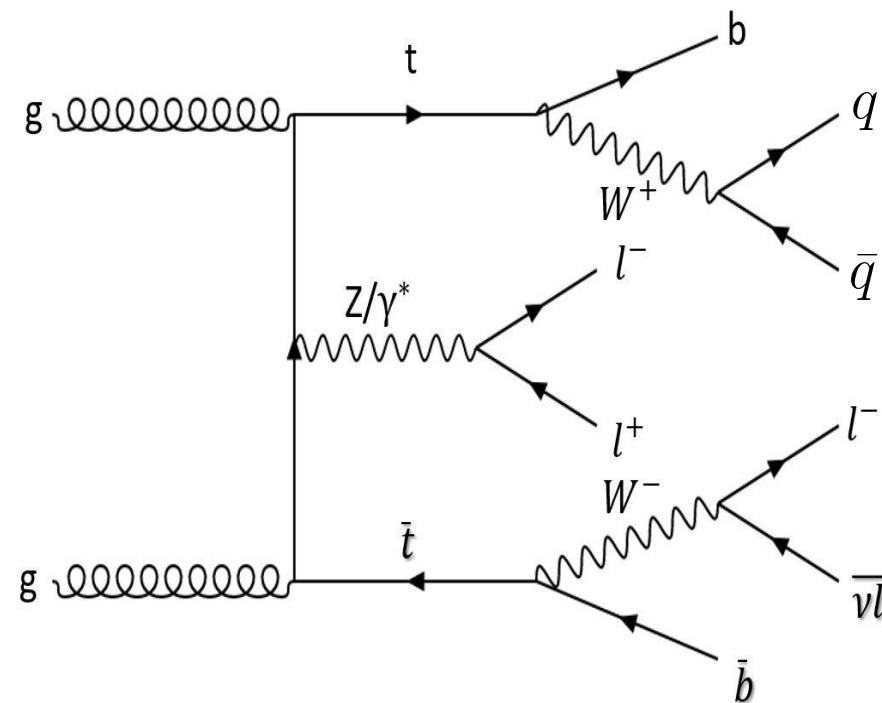
Measurement of $t\bar{t}Z/\gamma^*$ signal strength

Objectives :

- Standard Model Measurement of $t\bar{t}Z/\gamma^*$
- First step before EFT coefficient measurement

Analysis setup :

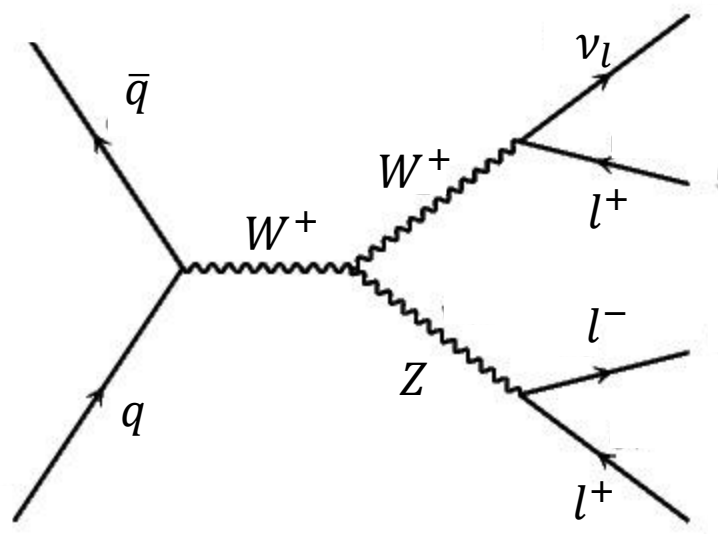
- Focus on semi hadronic decay
- Analysing full CMS Run 2 Data
- Single, double and triple isolated lepton trigger



WZ process

$$\sigma(pp \rightarrow WZ) = 50.6 \text{ pb}$$

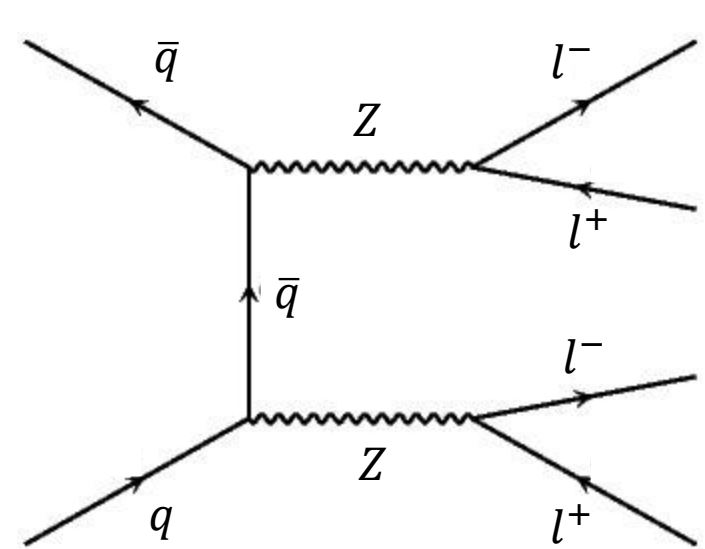
33% of the total contribution in the signal region



ZZ process

$$\sigma(pp \rightarrow ZZ) = 17.1 \text{ pb}$$

28% of the total contribution in the signal region



Other background processes:

- $t\bar{t}X$
- Nonprompt leptons from conversion

These backgrounds mimic the multilepton signature and must be carefully modeled

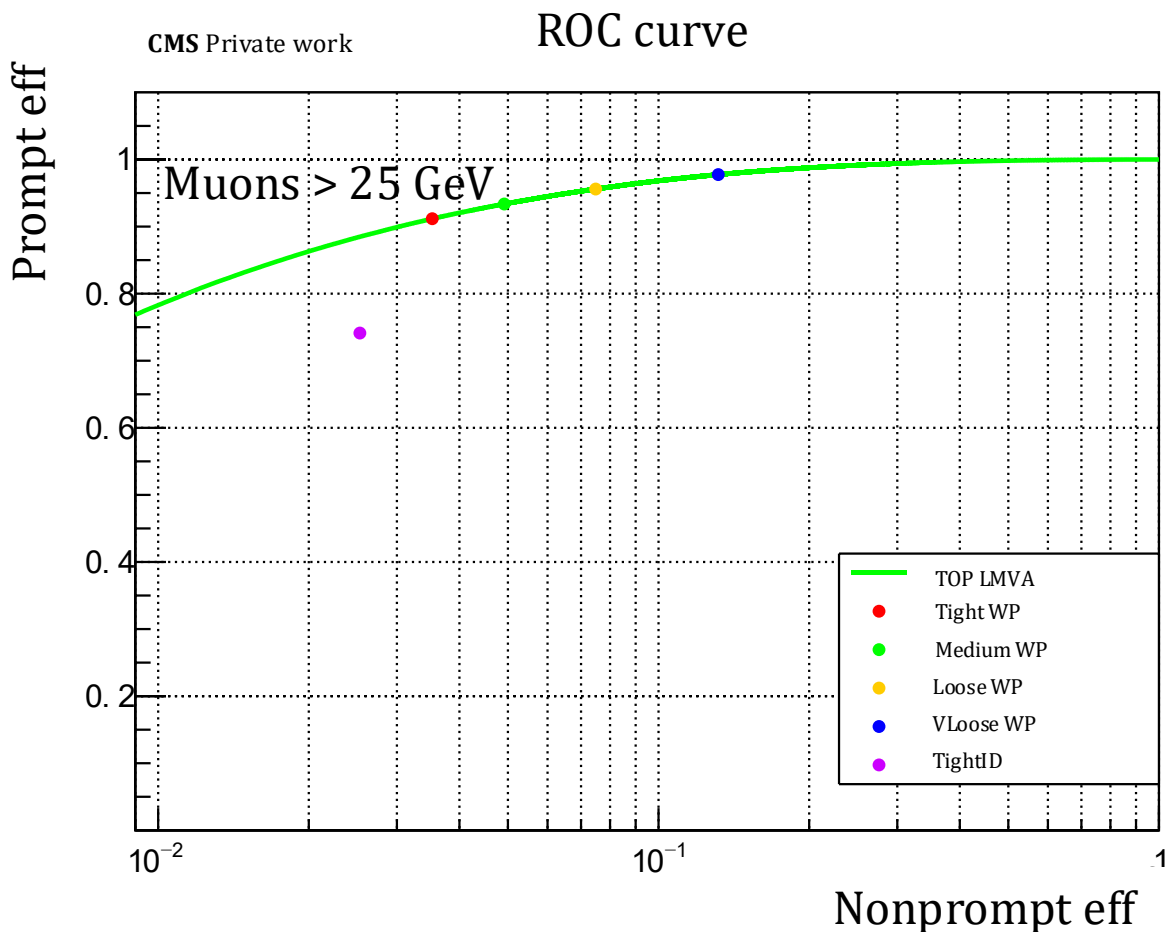
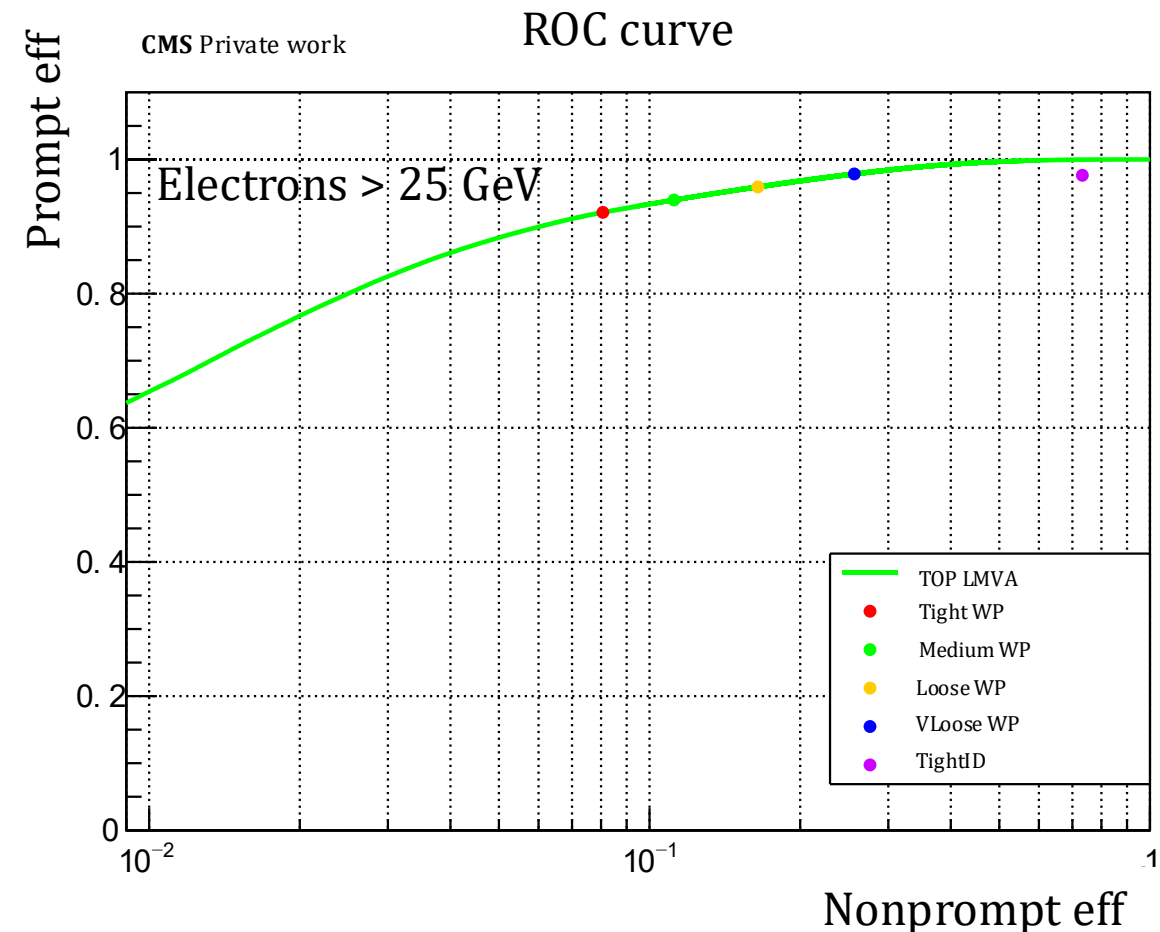
Object	Selection Criteria
Electron	$p_T > 10.0 \text{ GeV}$, $ \eta < 2.5$, tight TopLMVA WP
Muon	$p_T > 10.0 \text{ GeV}$, $ \eta < 2.4$, tight TopLMVA WP, medium ID
Jet	$p_T^{\text{corr}} > 30.0 \text{ GeV}$, $ \eta < 2.4$, tight ID, removed if $\Delta R < 0.4$ with a lepton
B-Jet	Jet with tight DeepJet WP

Low pT leptons

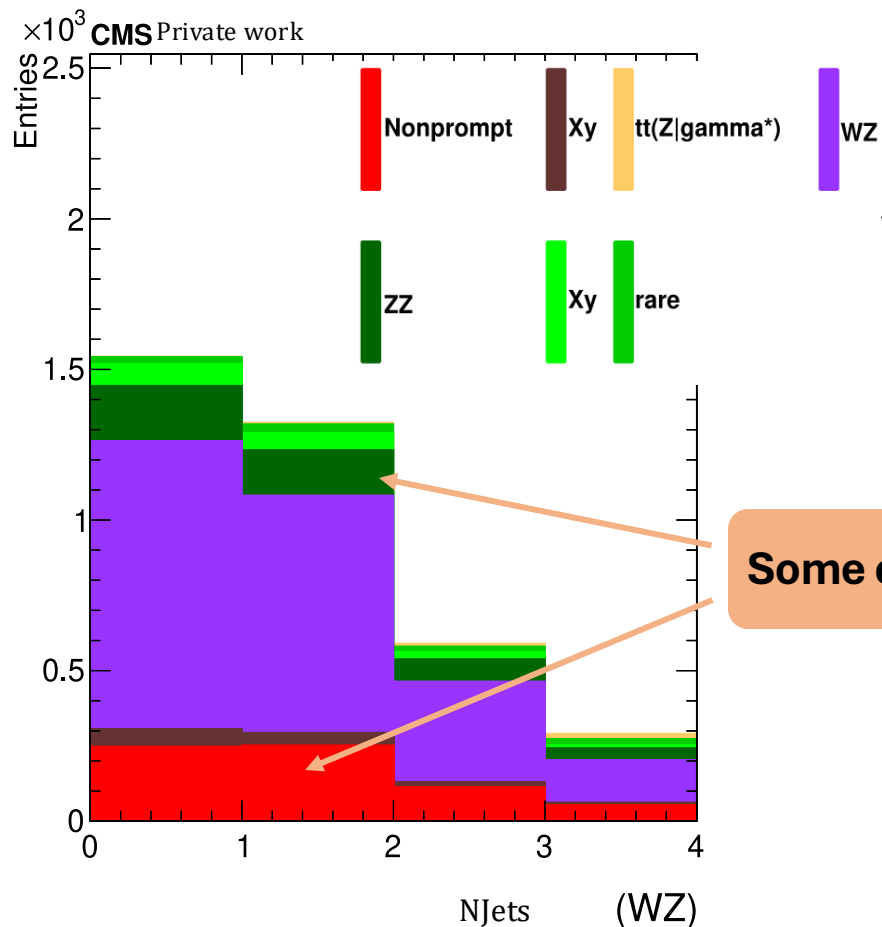
TopLMVA is a BDT trained to select prompt lepton in $t\bar{t}$ analysis

Recommended CMS corrections applied (Pileup and b-tag weights, JEC, muon and electron efficiencies).

TopLMVA improve the prompt leptons selection while keeping a low nonprompt noise

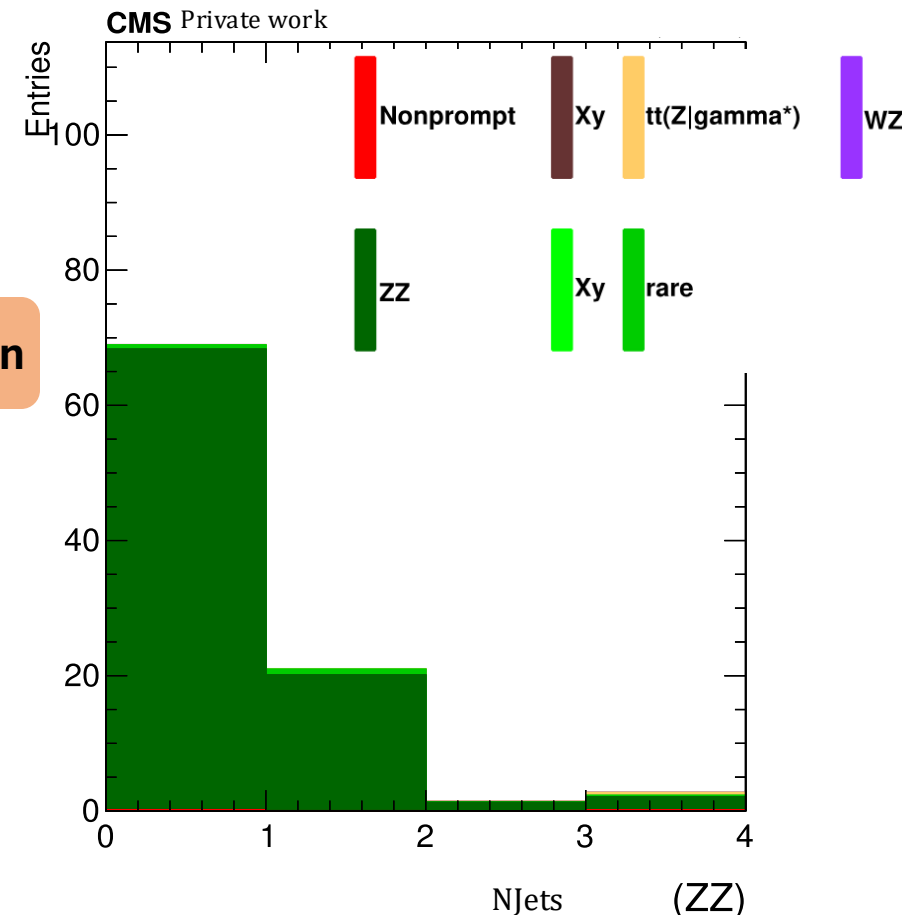


Control regions



WZ control region:

3 leptons, ≥ 1 OSSF pair, $p_T > 40, 20, 10$ GeV, 0 b-jets,
 $|m_{\text{OSSF}} - m_Z| < 10$ GeV, MET > 50 GeV.



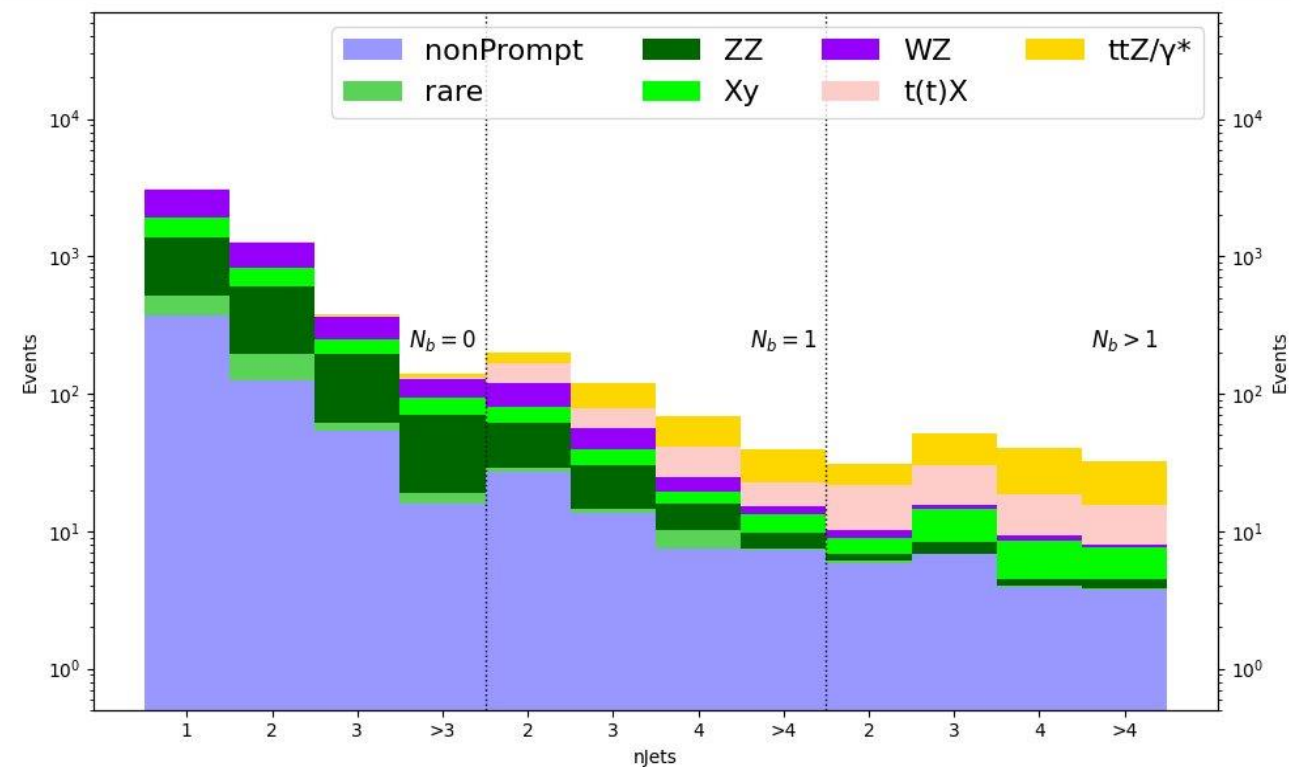
ZZ control region:

4 leptons, 2 OSSF pairs close to Z, leading $p_T > 40$ GeV,
 MET < 50 GeV

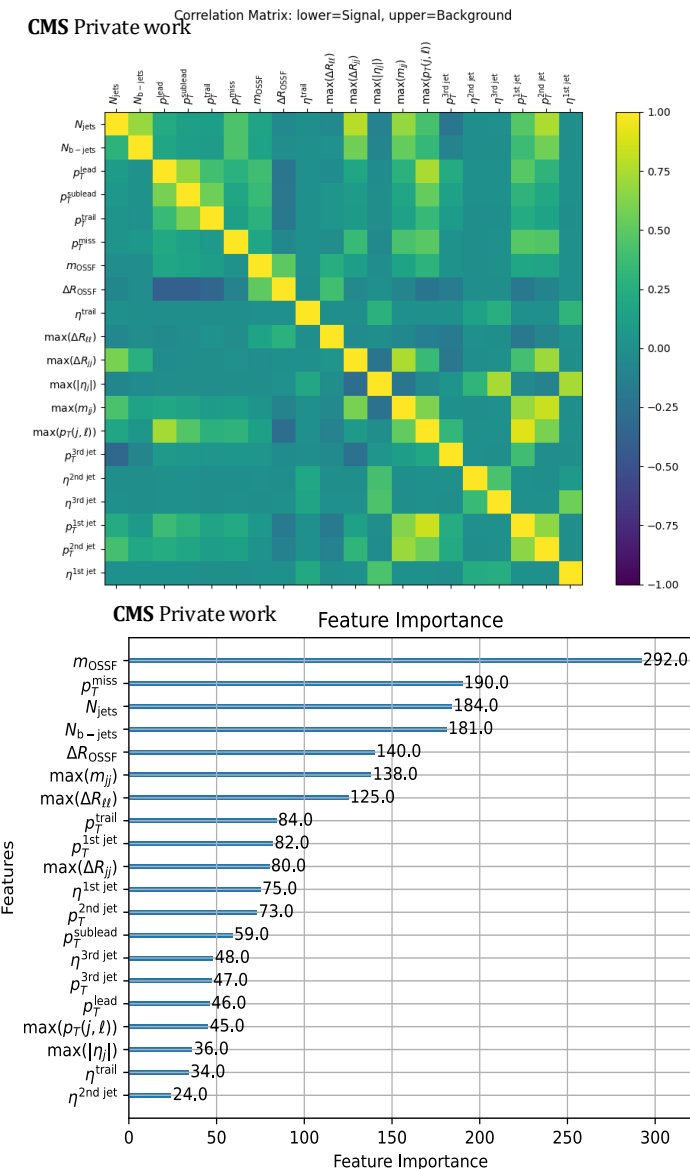
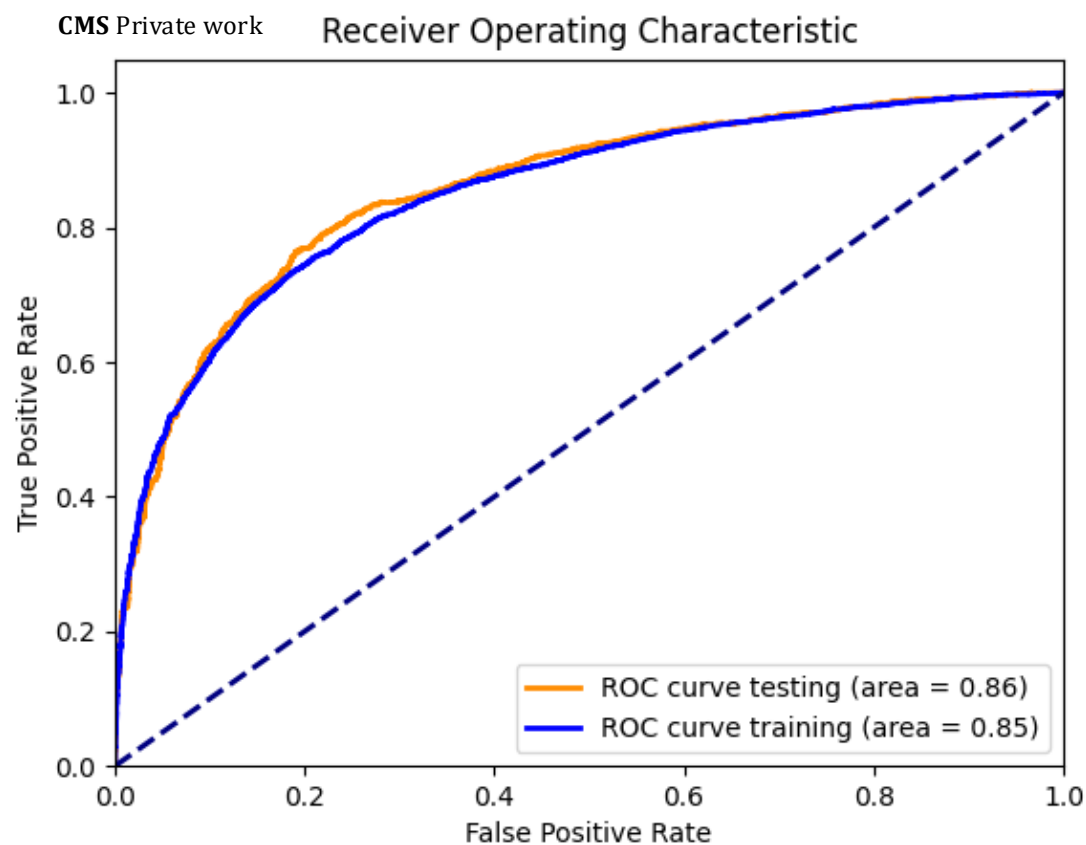
3L Signal Region:

- Events with exactly 3 leptons, including at least one opposite-sign same-flavor (OSSF) lepton pair.
- Lepton $p_T > 40, 20, \text{ and } 10 \text{ GeV}$.
- 3 regions :
 - $N_j > 1 \text{ and } N_b = 0$
 - $N_j > 2 \text{ and } N_b = 1$
 - $N_j > 2 \text{ and } N_b > 1$

CMS Private work



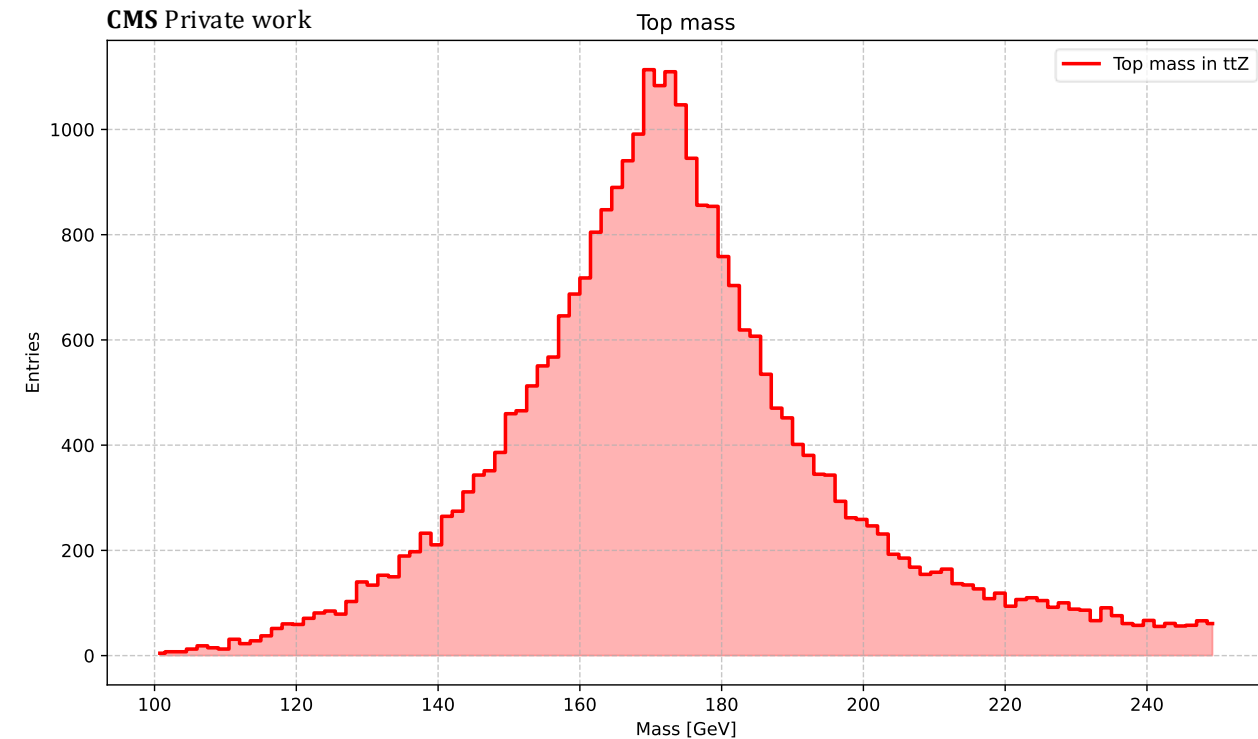
The BDT is trained to separate the $t\bar{t}Z/\gamma^*$ signal from background processes



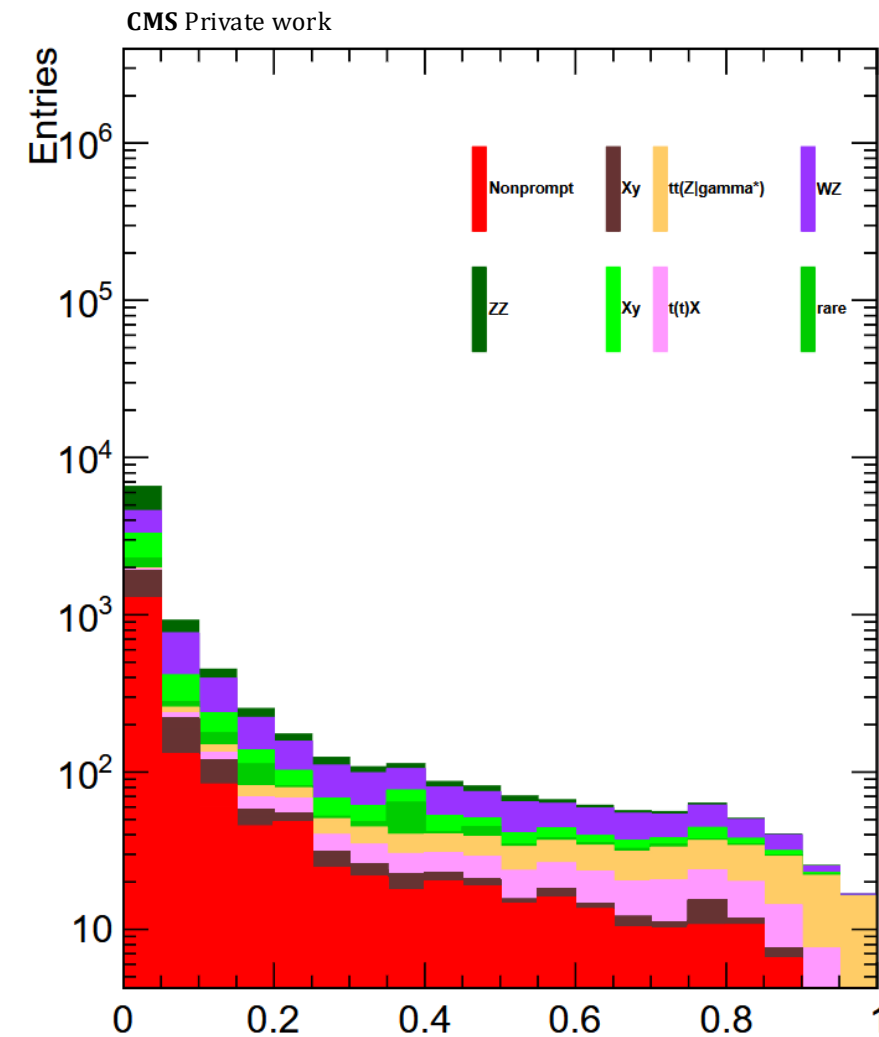
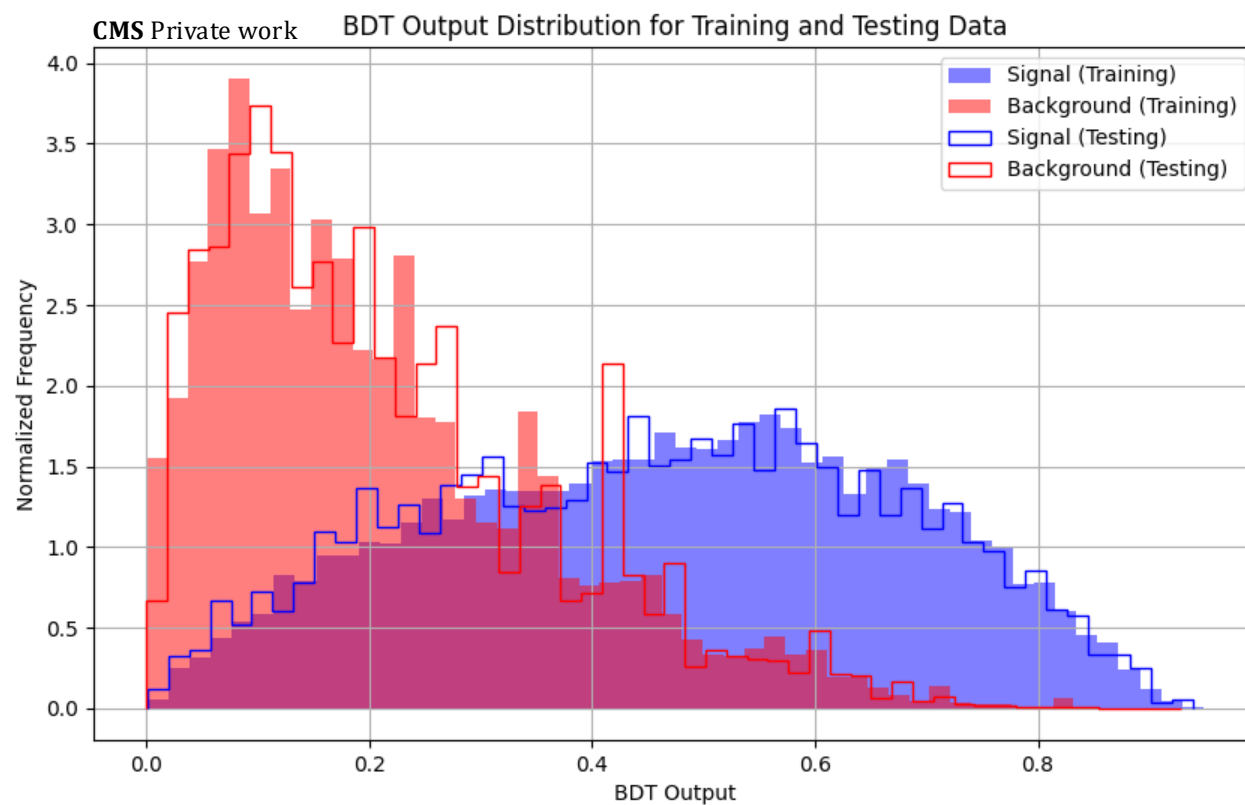
To identify the lepton from the top quark decay, we select the lepton that yields a reconstructed top mass closest to the PDG value.

The W boson mass is constrained to its PDG value, and the missing transverse energy is assumed to correspond to the neutrino p_T to solve for the neutrino p_Z

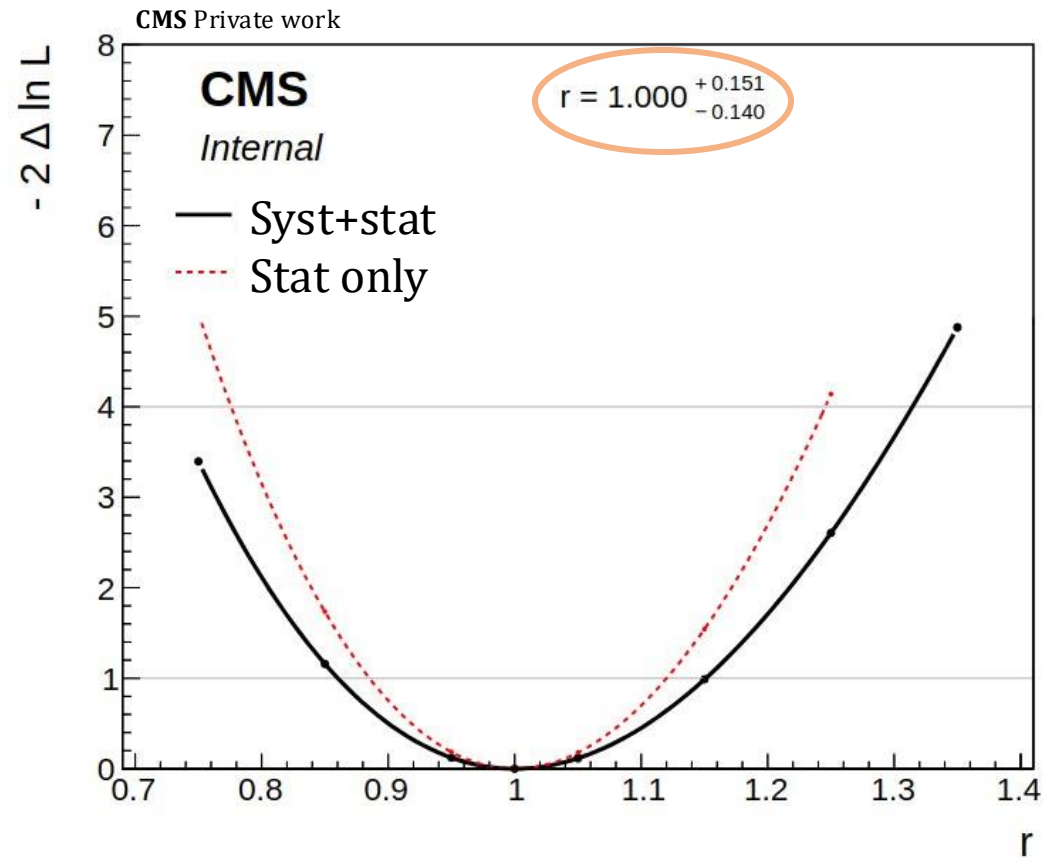
If this lead to no real solution for the neutrino p_Z , we modify the neutrino p_T such that $m_W = m_{W,T}$



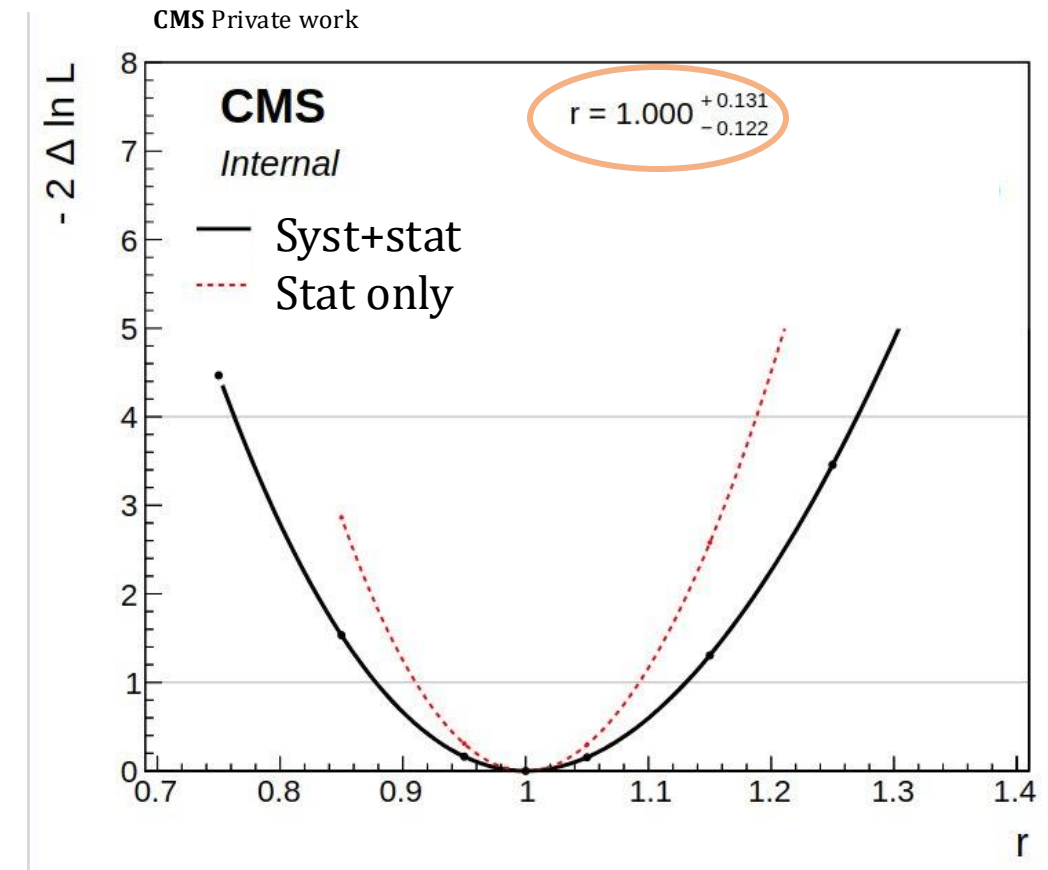
The BDT training is still ongoing



Result with N_{jets} observable

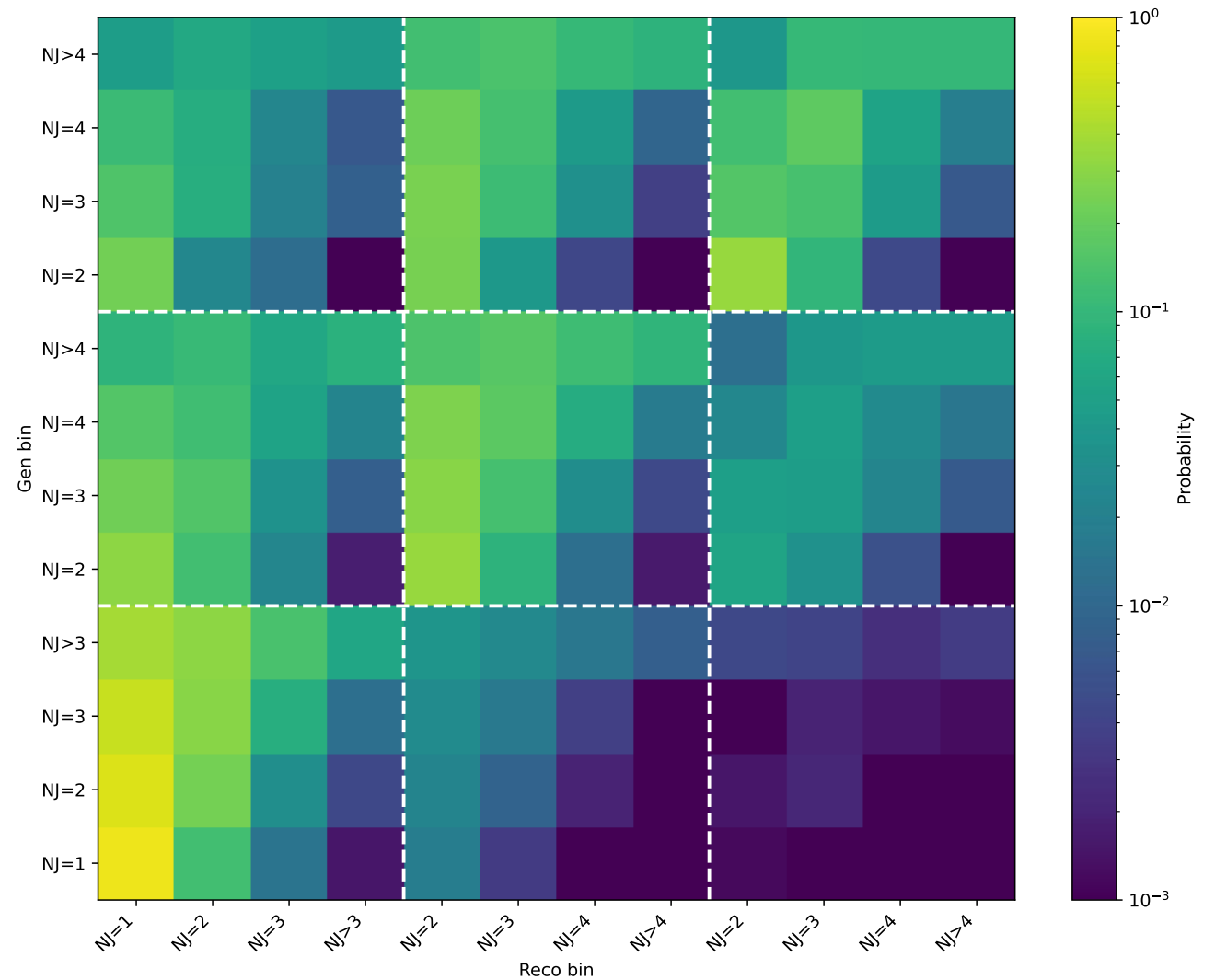


Result with BDT score



Improvement on the signal strength
uncertainty (~13%)

- Correct for detector effects and recover the true distribution
- Response matrix describes the migration between true and reconstructed variables
- Input for ongoing unfolding process

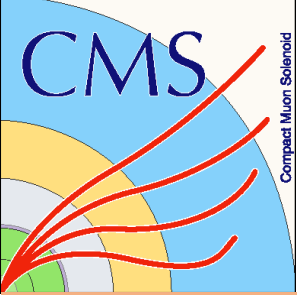


Already done:

- A framework nearly ready to do $t\bar{t}Z/\gamma^*$ analysis in Run 2
- Top reconstruction algorithm to identify the dilepton pair
- Azimov signal strength measurement
- Unfolding setup

Next steps:

- Separation in $ee/\mu\mu$ channels
- Measurement of the ratio $ee/\mu\mu$
- Generation of EFT samples
- Measurement of Wilson coefficients



Thank you