#### Random media generation

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Generate a random media :

- Rectangular cuboid
- Center (x, y, z)
- ► Size  $(s_x, s_y, s_z)$  with  $s_x$  and  $s_y \in [0.5, 1]$  mm and  $s_z \in [1, 1.5]$  mm
- Rotation angle  $(\alpha_x, \alpha_y, \alpha_z)$

In a rectangular cuboid with fibres.



### Metropolis algorithm

#### Algorithm 1

- 1: for each grain g do
- 2: Determine the energy of the system *E<sub>i</sub>*
- 3: Randomly move/rotate g
- 4: Determine the energy of the system  $E_f$
- 5: if  $\exp(-\beta(E_f E_i)) < \eta$  then
- 6: Revert the move
- 7: end if
- 8: end for

Where  $\beta$  is a constant and  $\eta$  a random number between 0 and 1.

- Allows to take into account any field, forces
- In the case of hard volumes, simplify to E = 0 (no intersection) or E = ∞ (intersection)

In this talk, for the sake of simplicity, the grains will be only allowed to move on the (x,y) plane but can rotate on the 3 axis.

# Proof of principle

Successfully applied in "Étude de la diffusion optique par des matériaux hétérogènes rugueux : Diffusions surfacique, volumique et couplage surface/volume" by Hervé Chanal



Generated media example, hard sphere model, with (left) and without (right) a  $1/r^2$  field



Comparison of the Pair Correlation Function for a random media between the analytical expectation and the generated media

# Example 1

- Algorithm programmed in Python
- Panda3d used
- ► 100 grains







After 2000 steps

#### Example 2

- To reach high volumic fraction : generate boxes even outside GRAiNITA
- Use a gravity like field
- ► Here : 1000 grains



Initial step



After 8800 steps