

Radio detection of cosmic-ray showers with the Radio Neutrino Observatory in Greenland

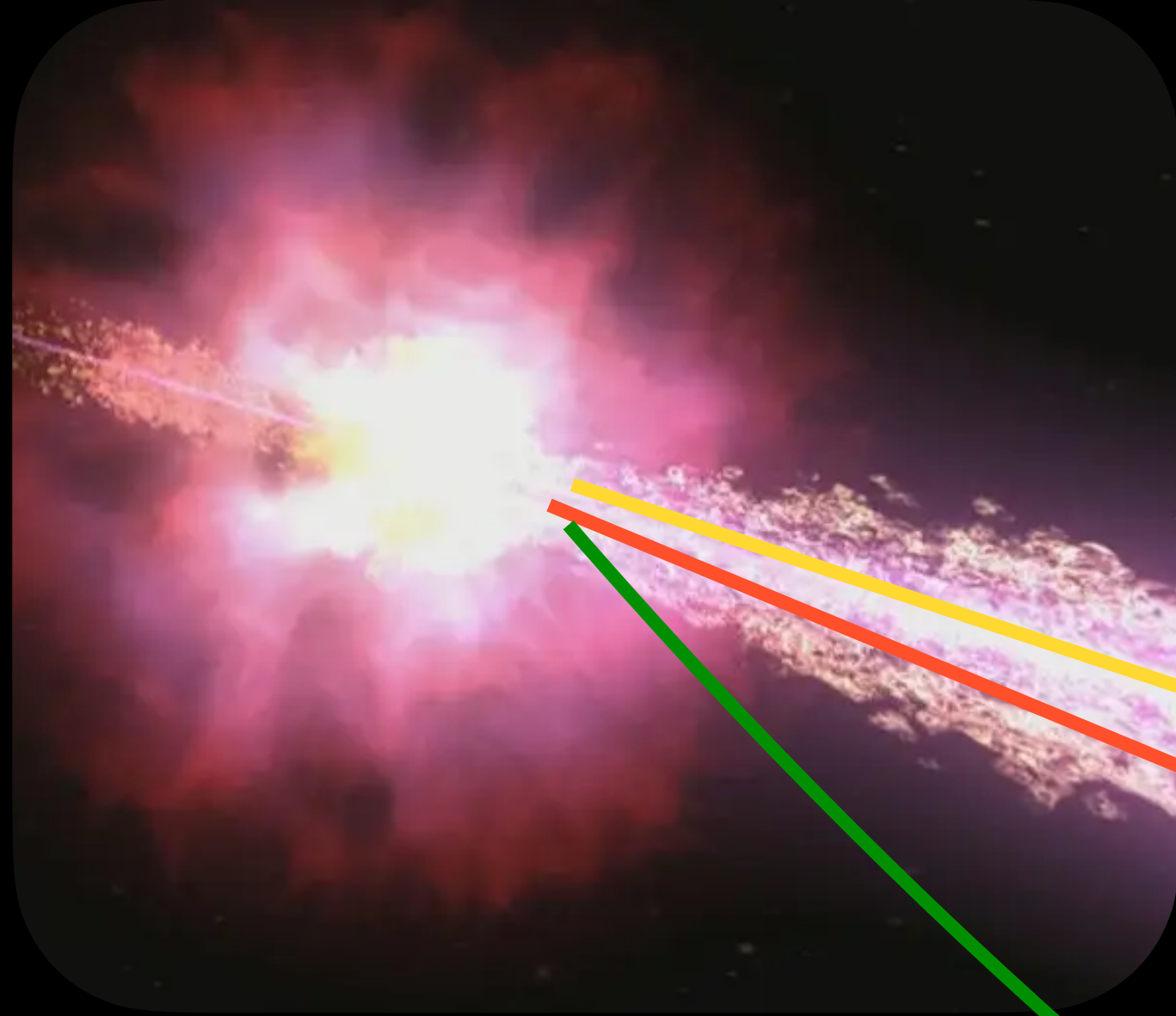


Simon Chiche, Krijn de Vries, Simona Toscano

Ultra-high energy (UHE) neutrinos

UHE neutrino: $E > 10^{16}$ eV

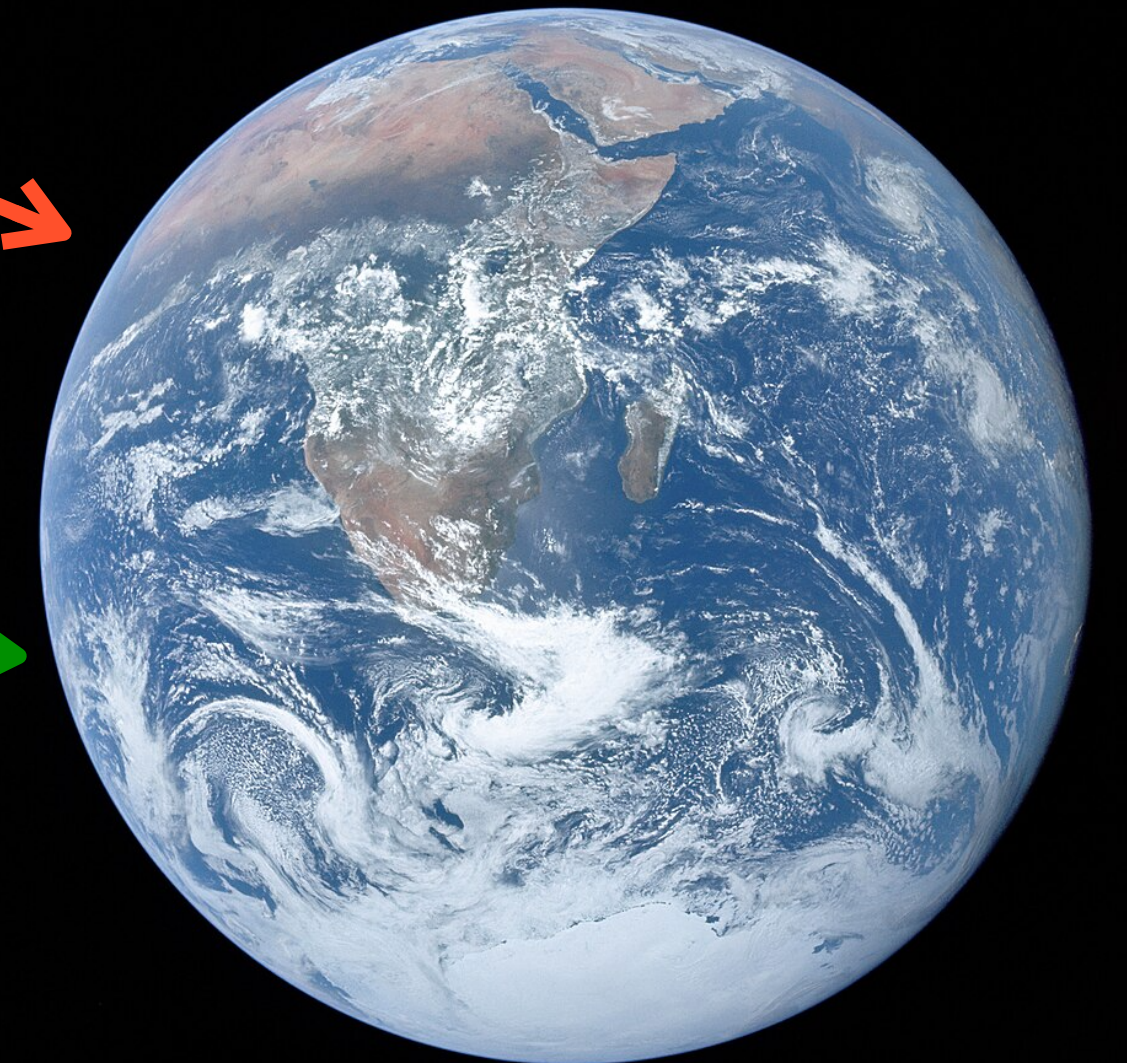
- ✓ probe the most powerful sources in the Universe
- ✓ understand the origin of ultra-high energy cosmic rays



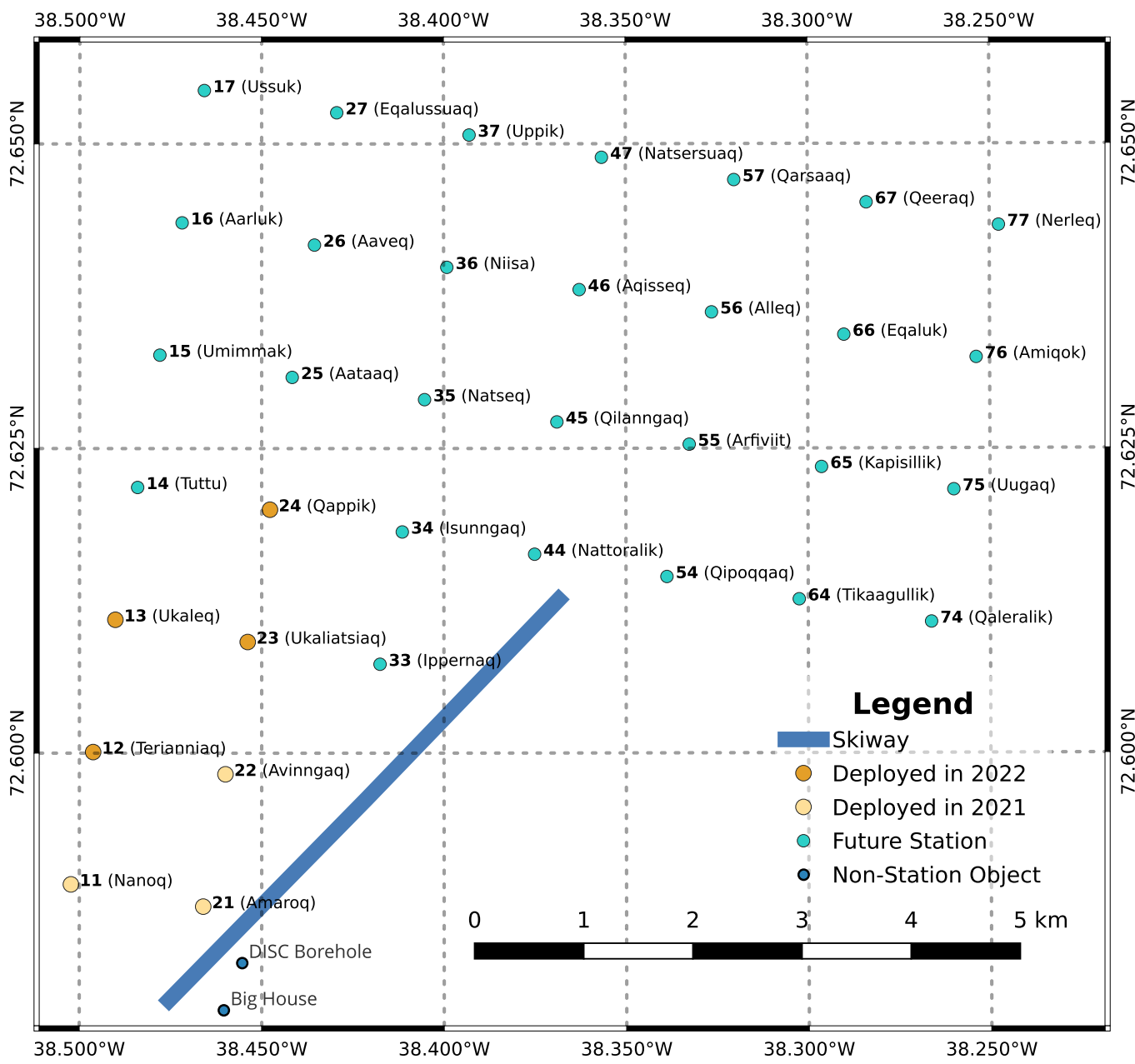
γ

ν

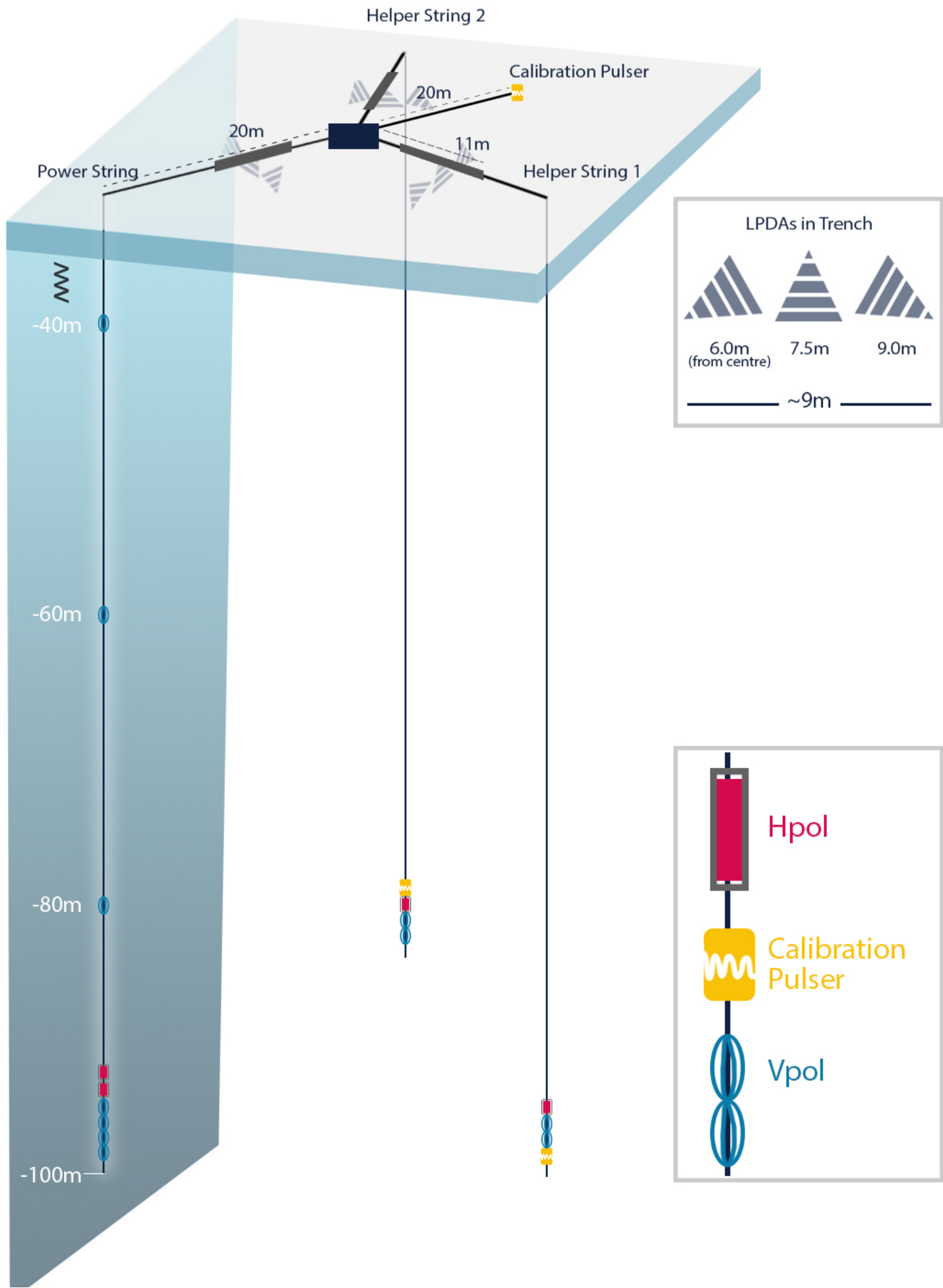
CR



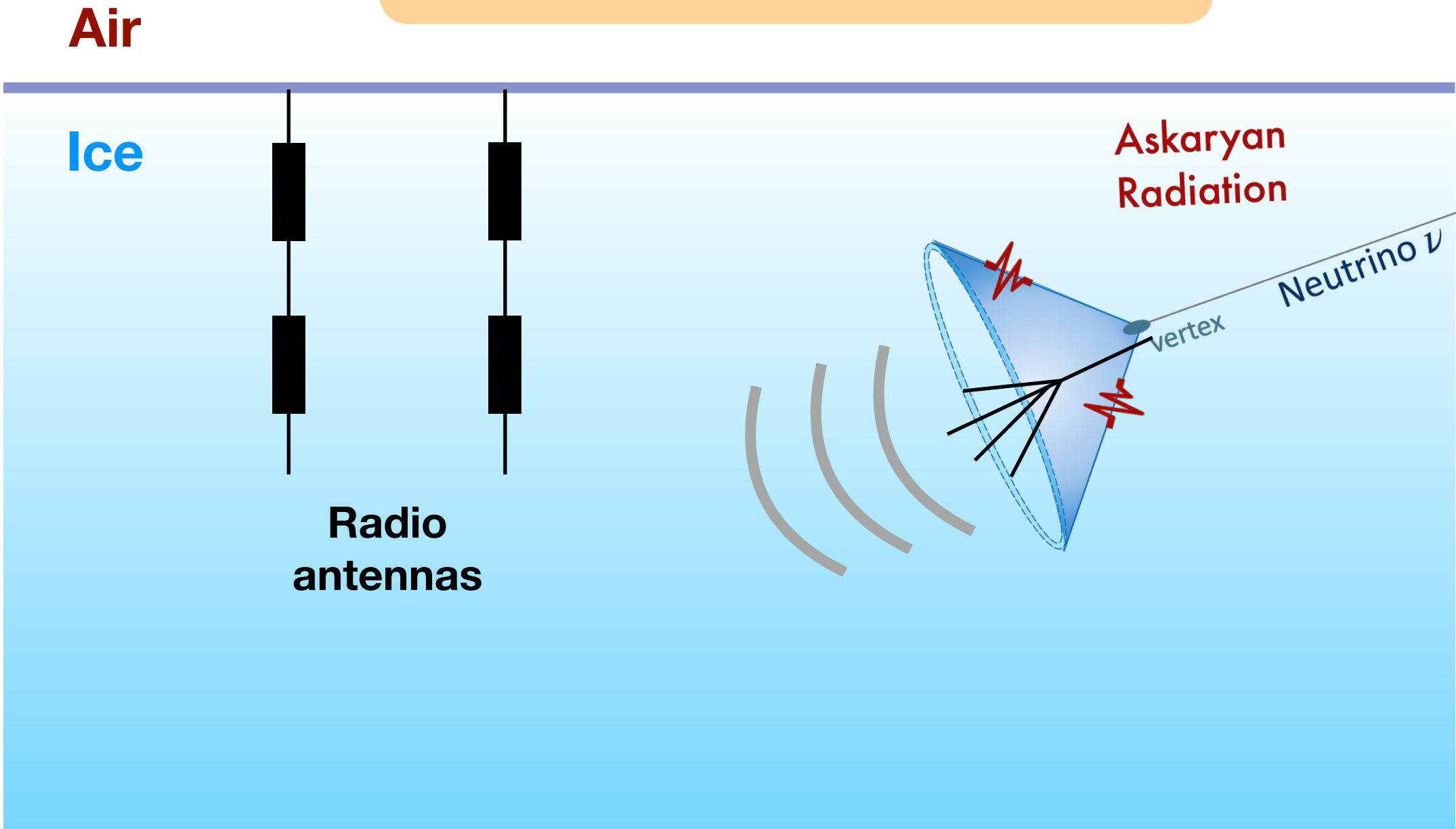
35 autonomous stations
at Summit Station (Greenland)



1 station: 24 radio antennas

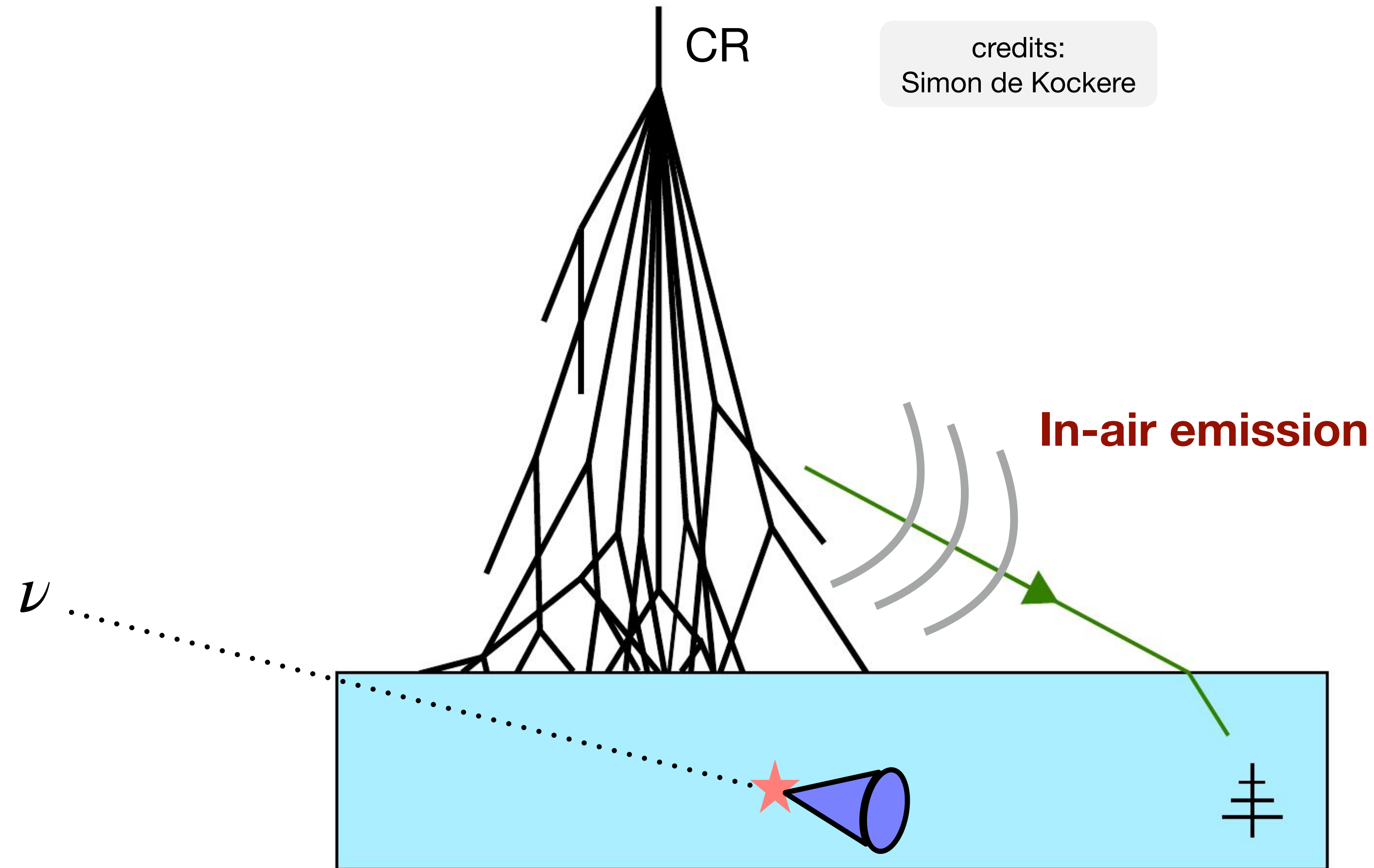


Radio detection of
ultra-high energy neutrinos

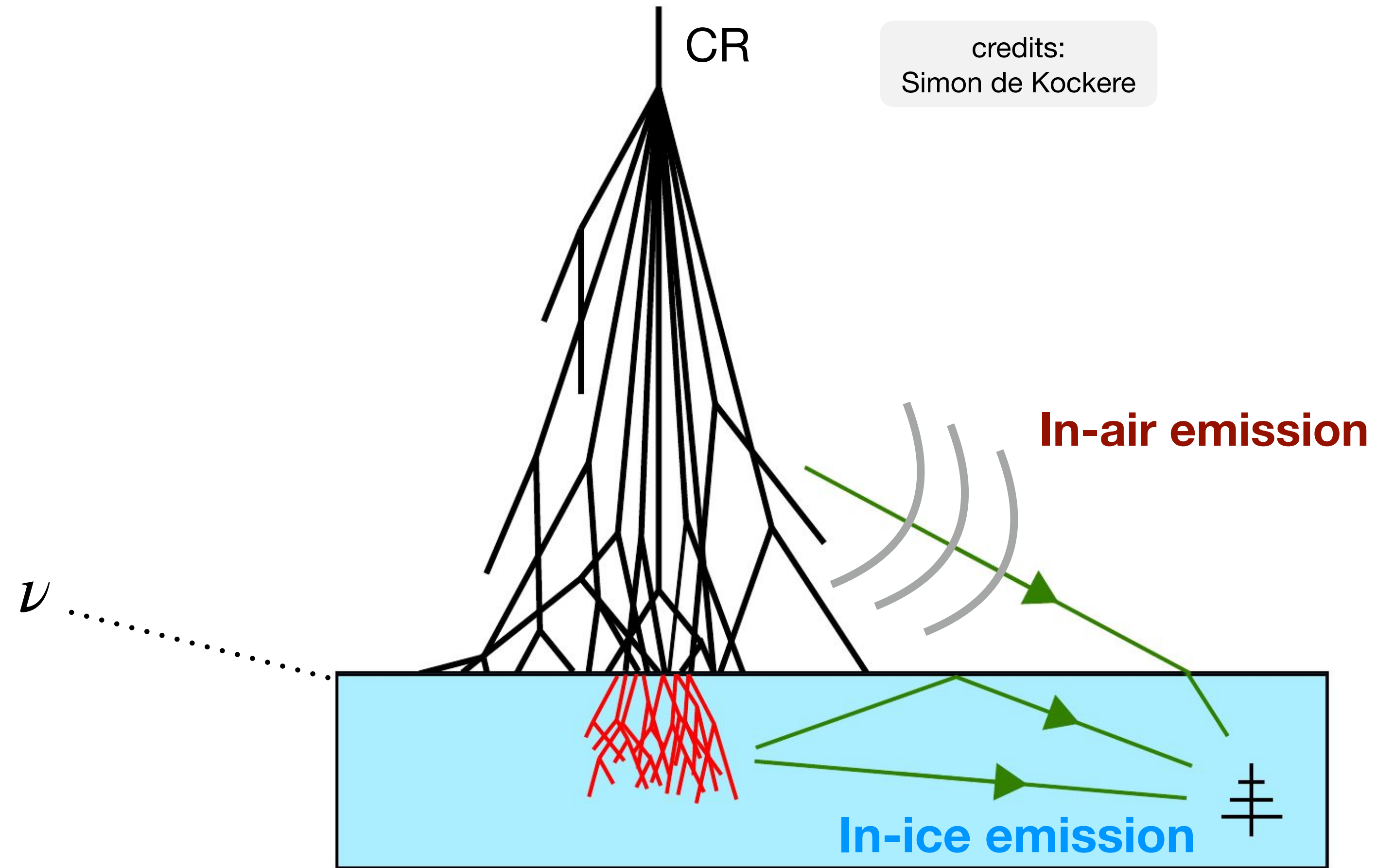


In-ice radio detection: promising technique to detect ultra-high energy neutrinos

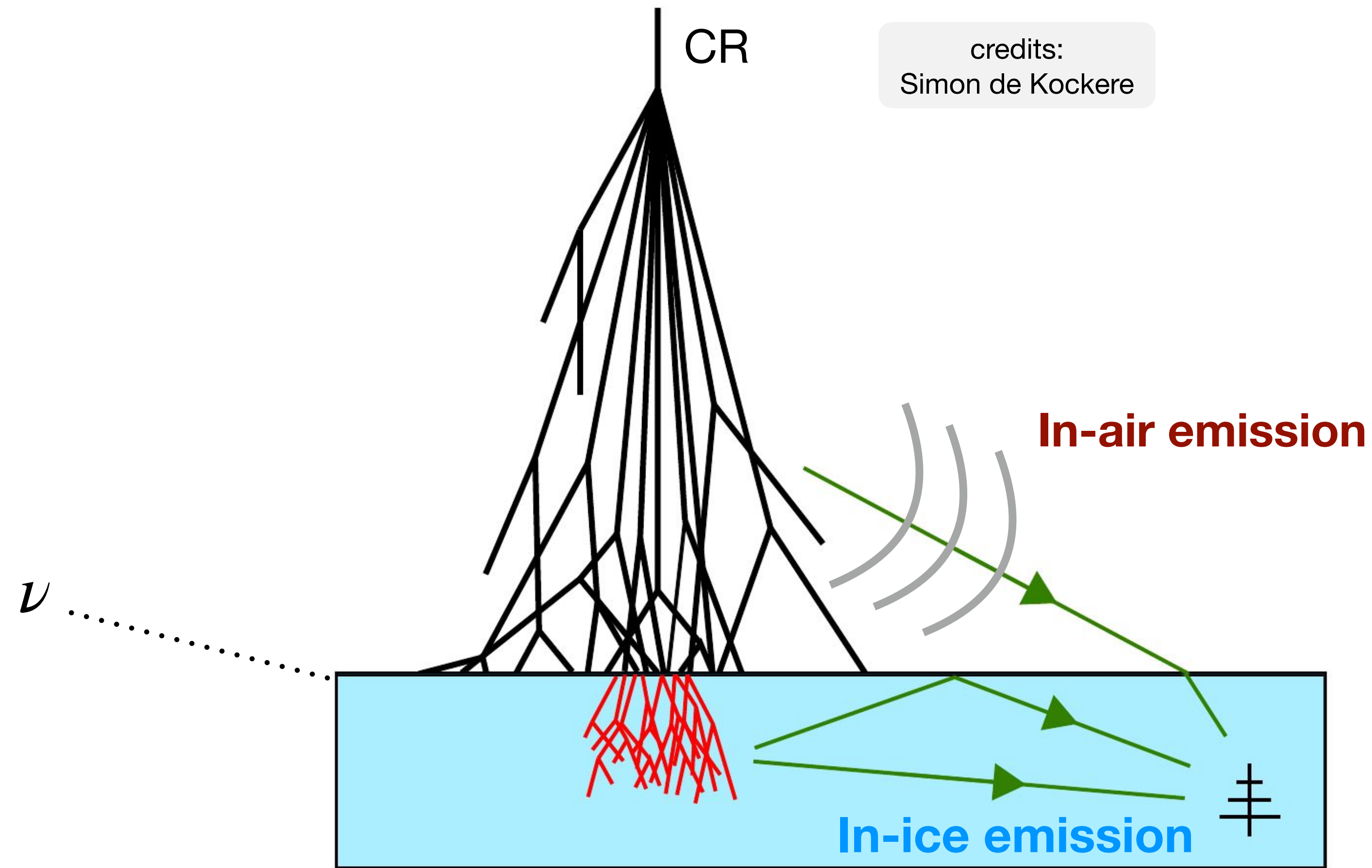
Radio emission of cosmic-ray air showers can also reach the deep antennas



Radio emission of cosmic-ray air showers can also reach the deep antennas

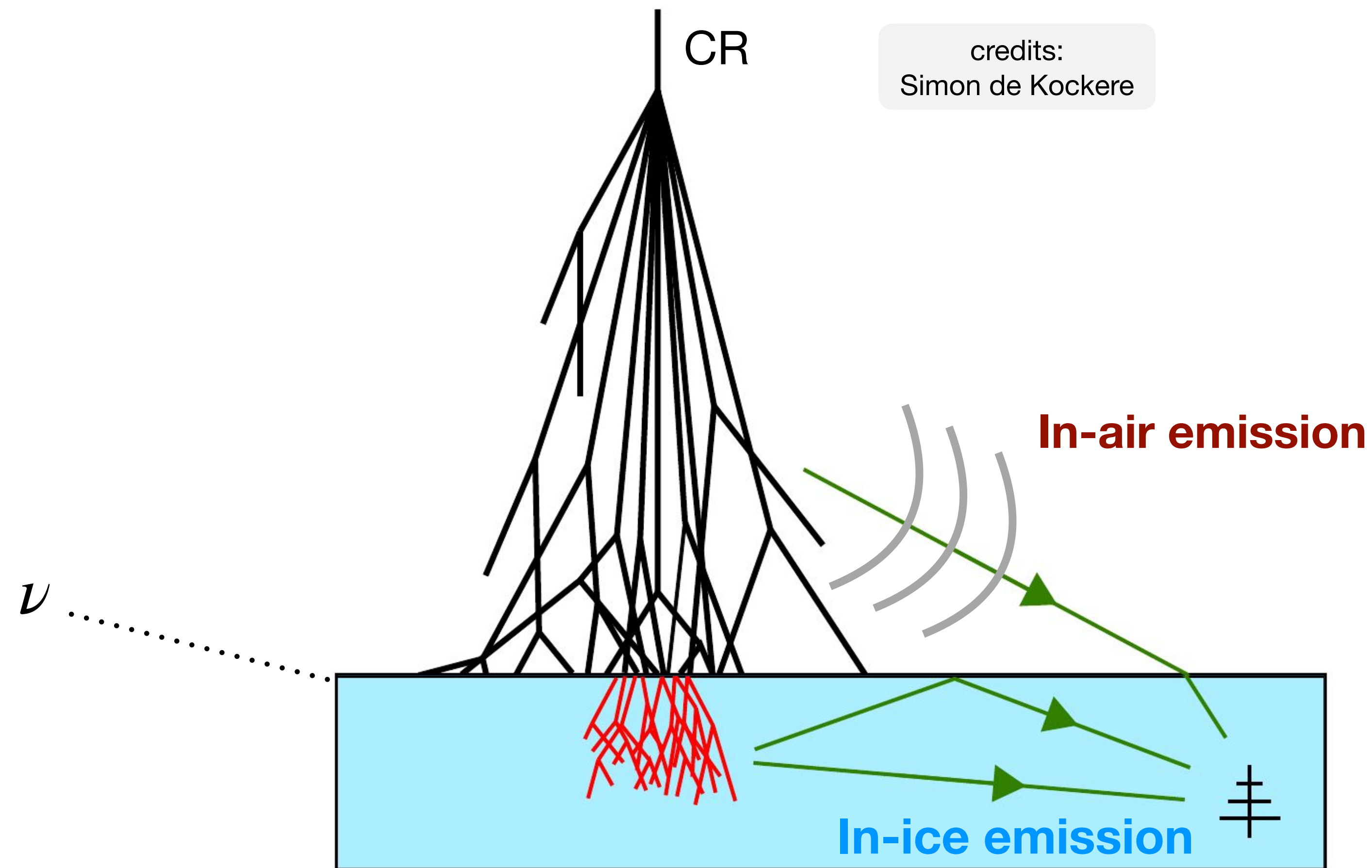


Radio emission of cosmic-ray air showers can also reach the deep antennas



The cosmic-ray flux should be much larger than the neutrino flux:

Radio emission of cosmic-ray air showers can also reach the deep antennas



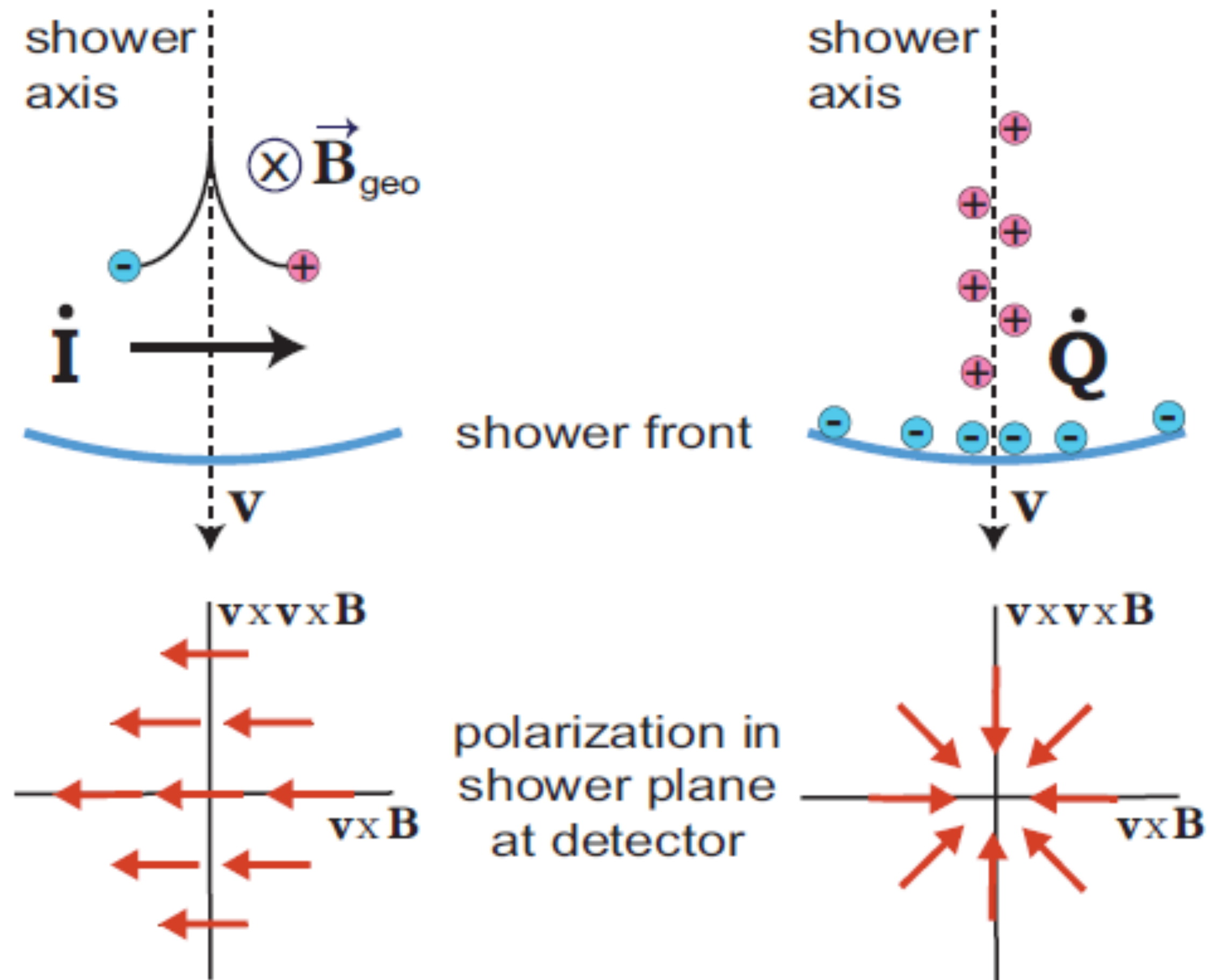
The cosmic-ray flux should be much larger than the neutrino flux:

- Cosmic-ray detection would validate in-ice radio detection principle
- Cosmic-ray/neutrino discrimination is needed to ensure successful neutrino detection

2 main sources for the radio emission of cosmic rays

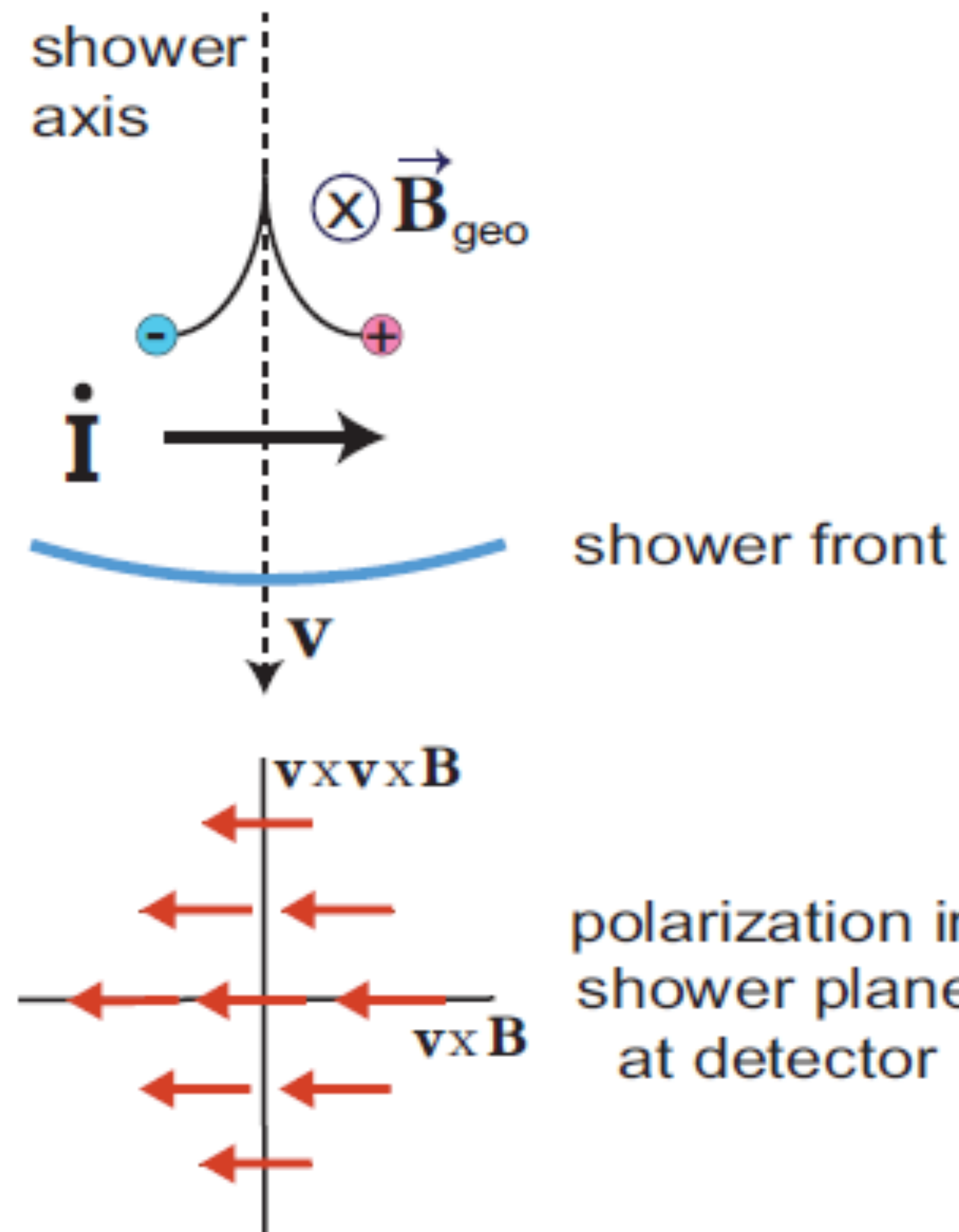
Geomagnetic emission

Askaryan emission

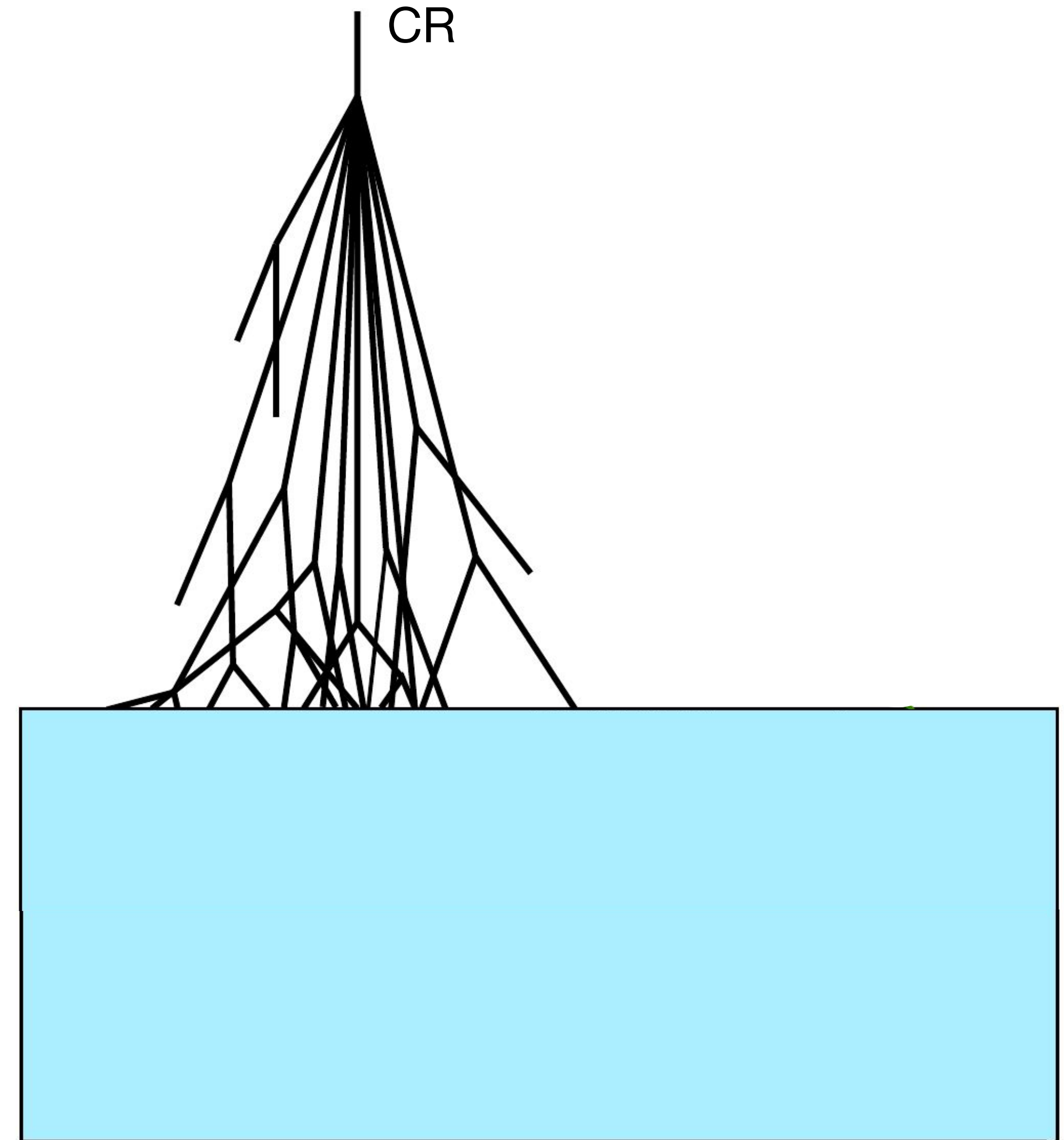
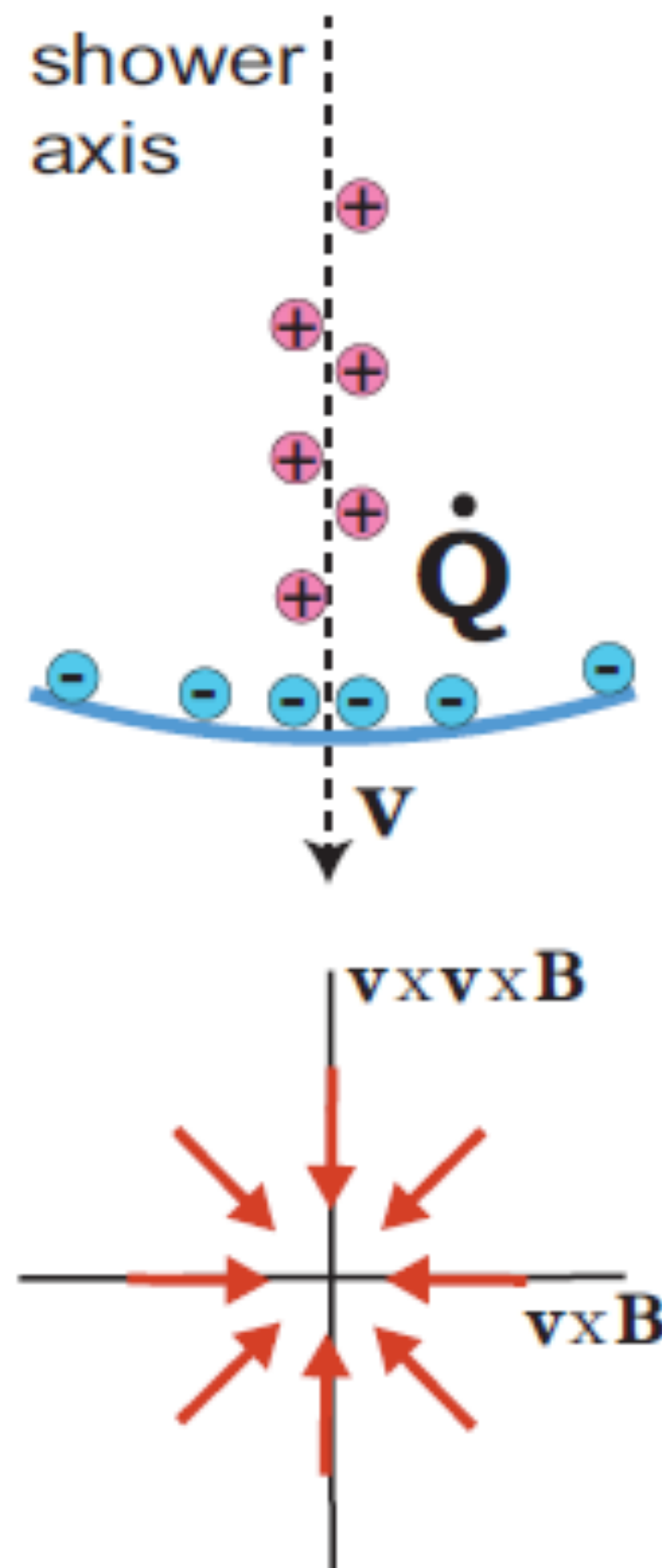


2 main sources for the radio emission of cosmic rays

Geomagnetic emission

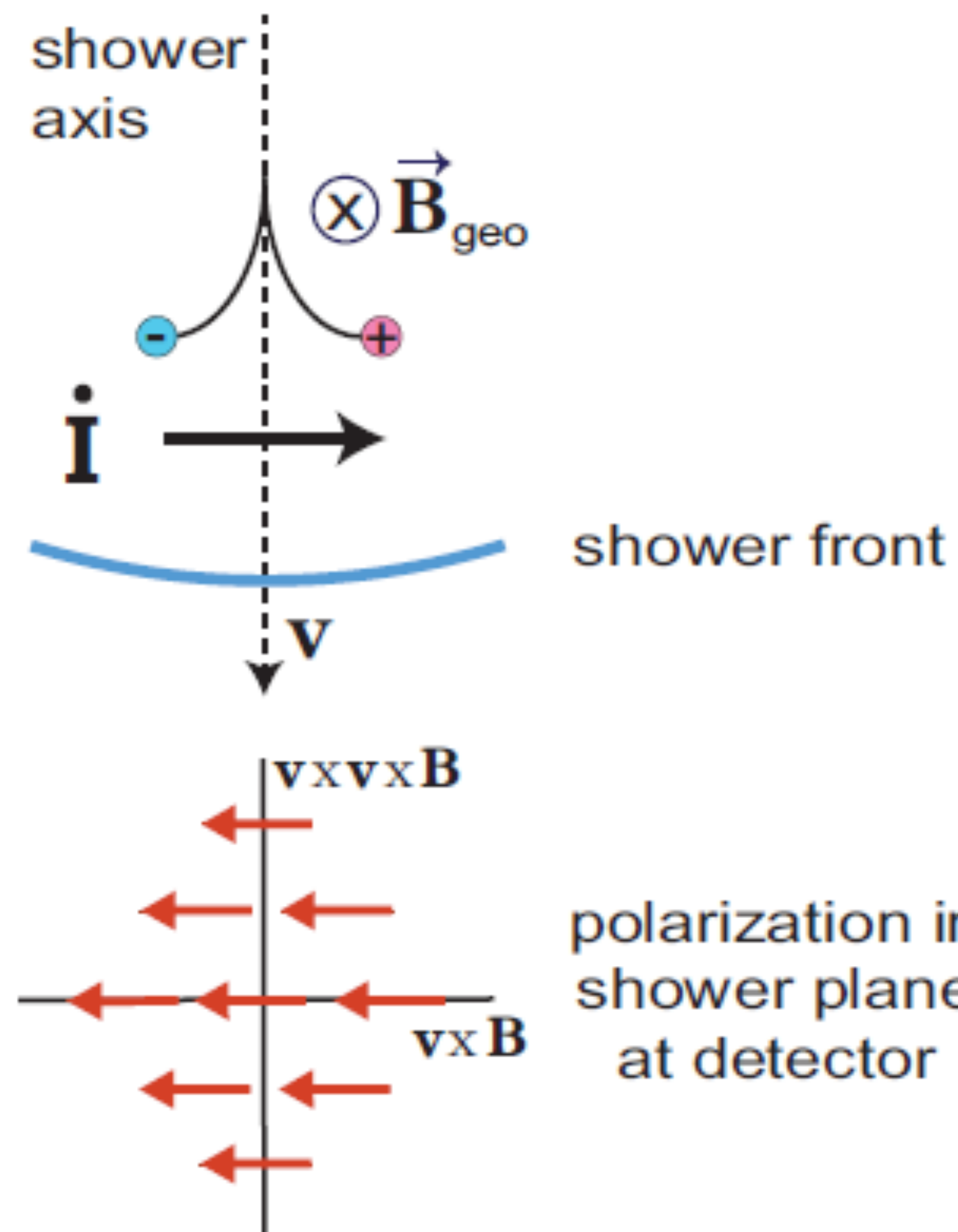


Askaryan emission

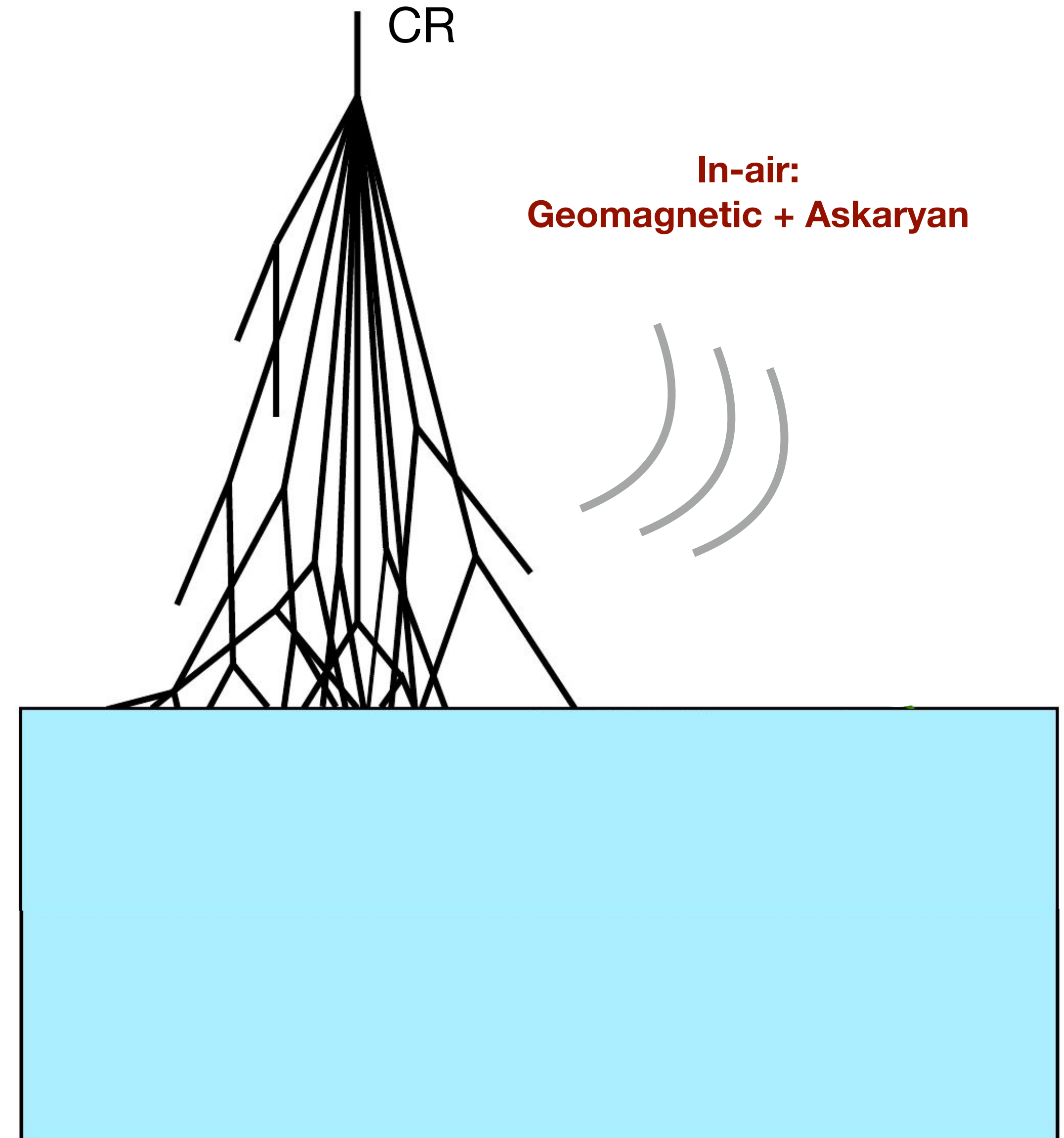
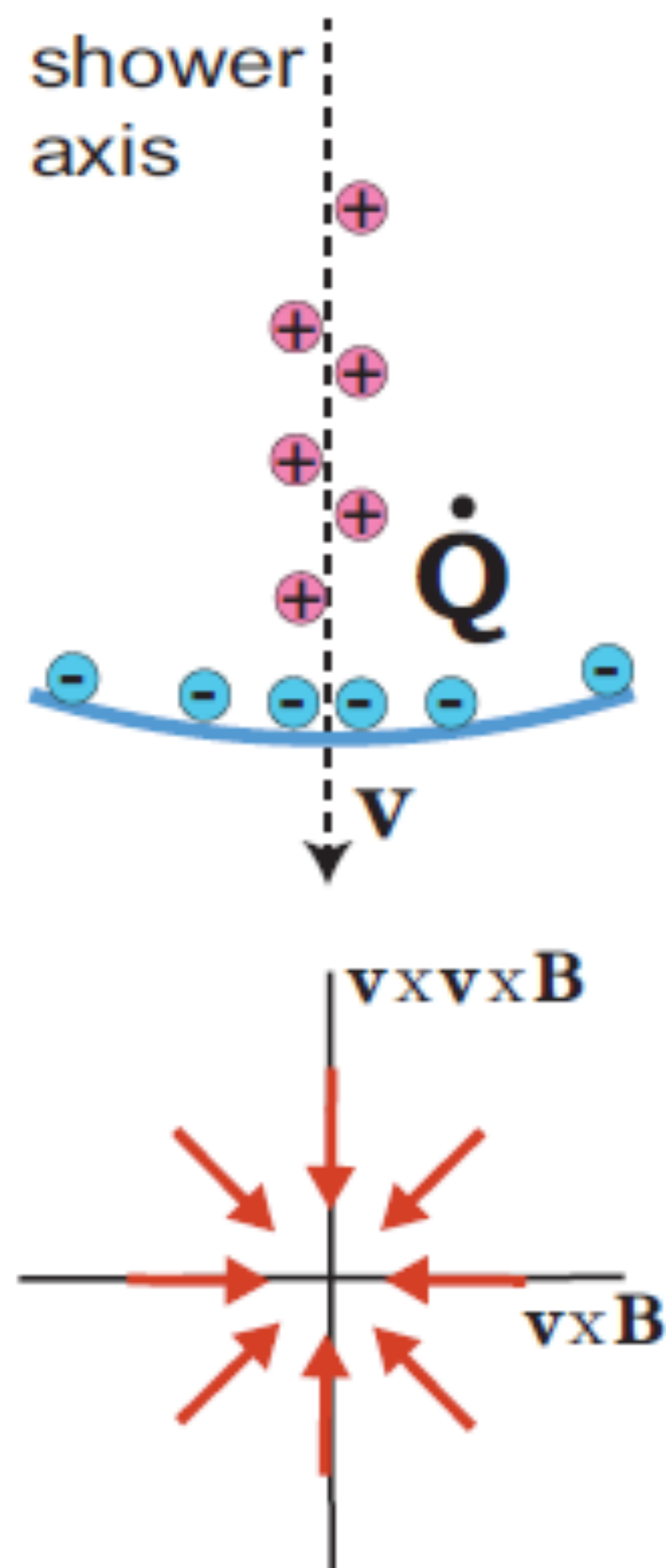


2 main sources for the radio emission of cosmic rays

Geomagnetic emission

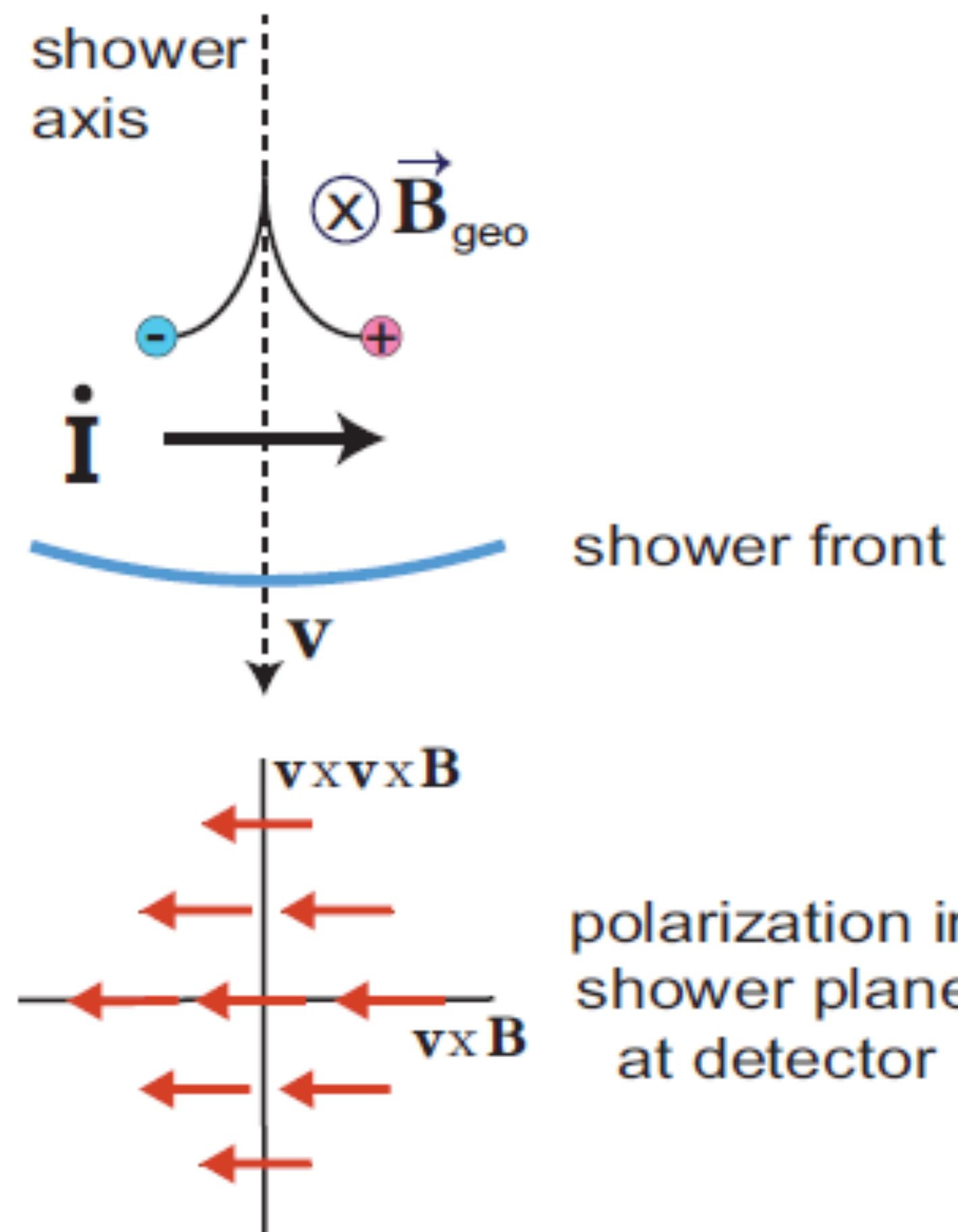


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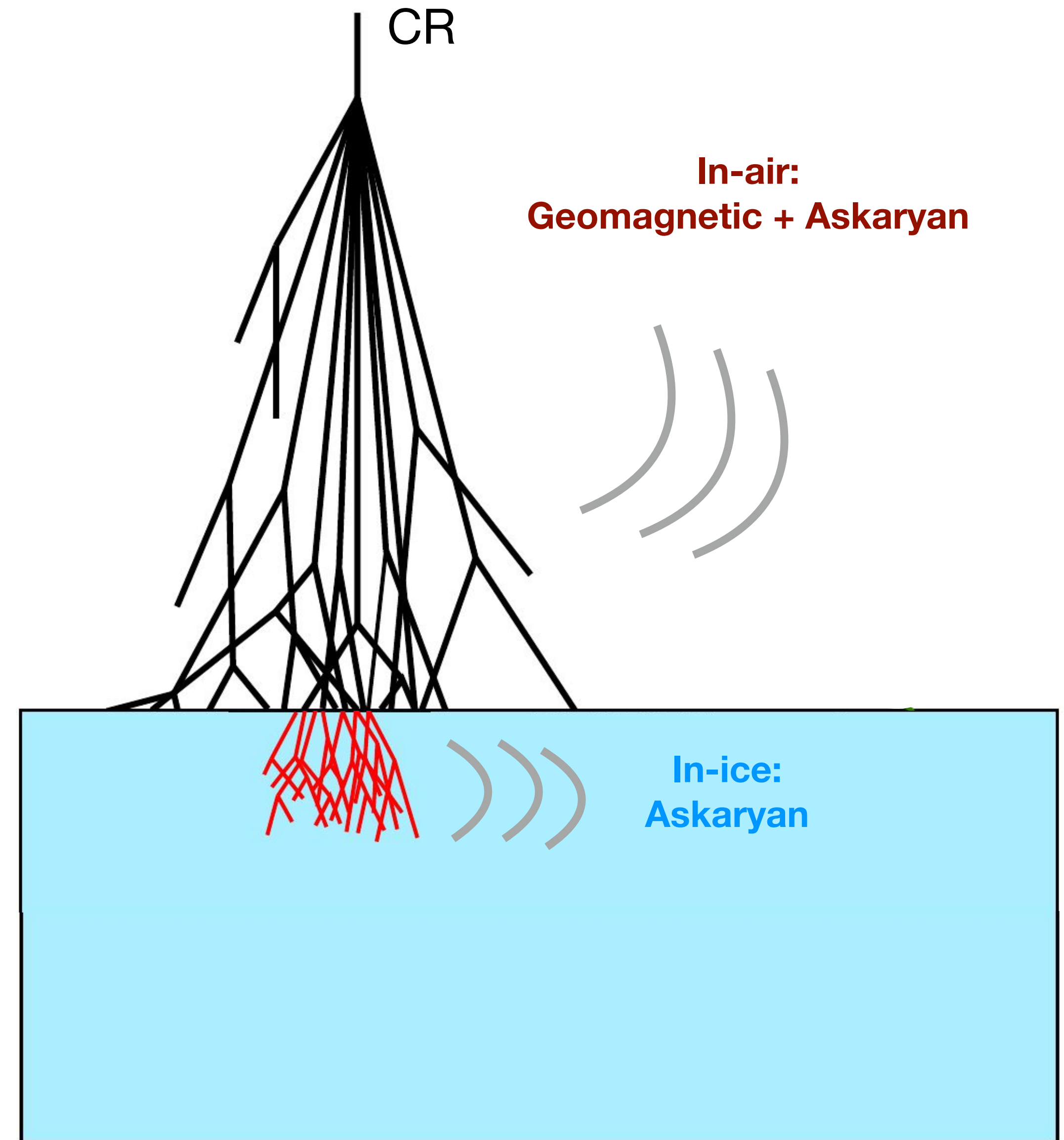
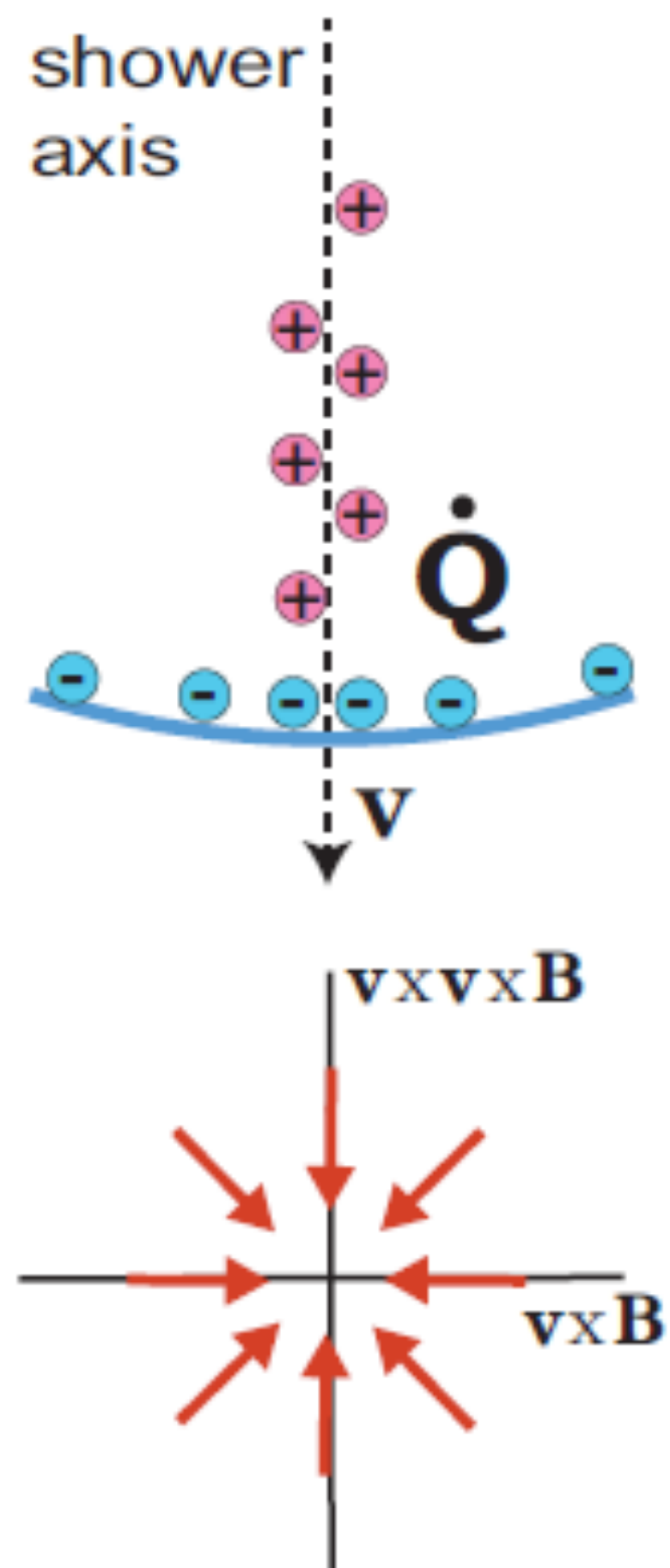


2 main sources for the radio emission of cosmic rays

Geomagnetic emission

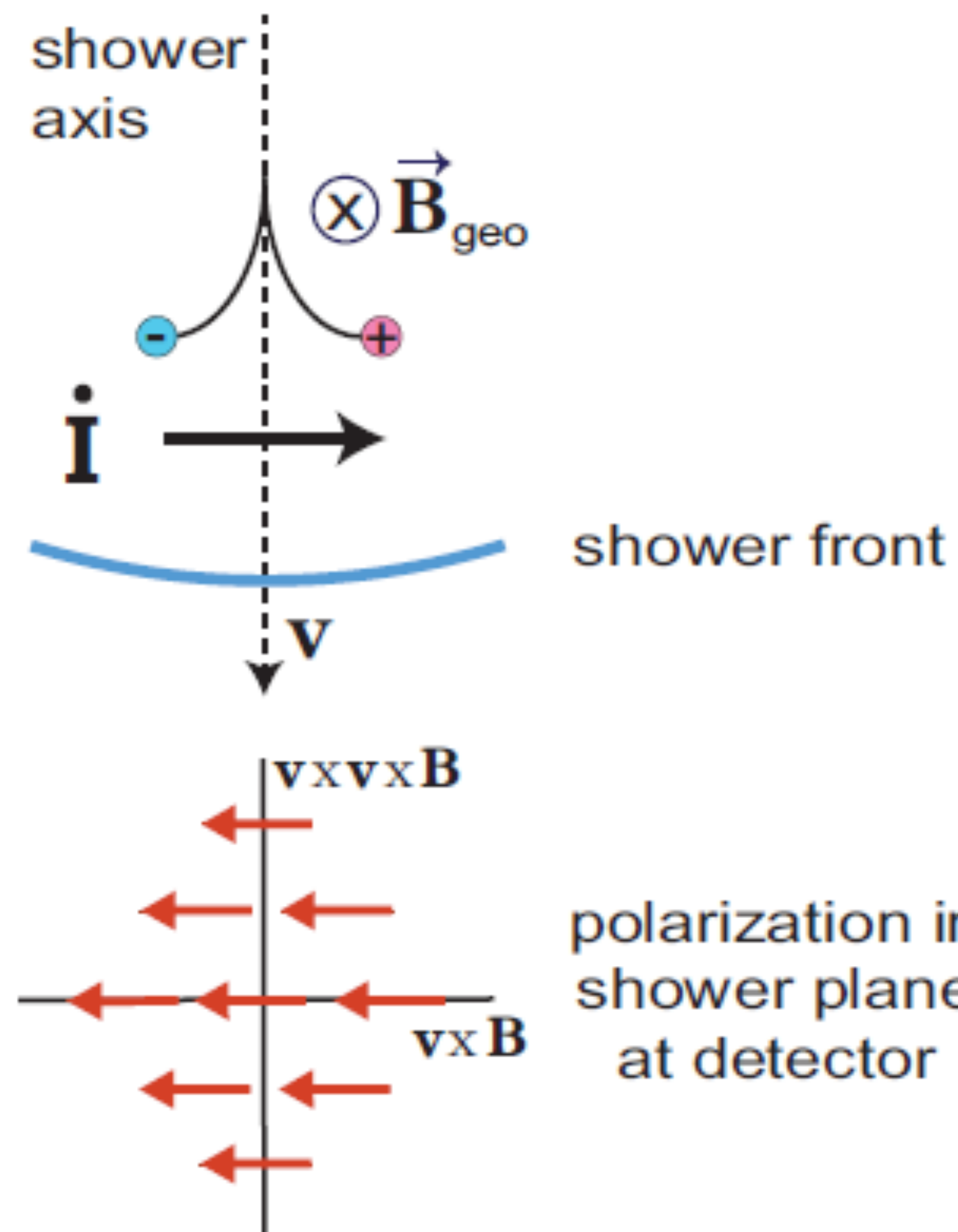


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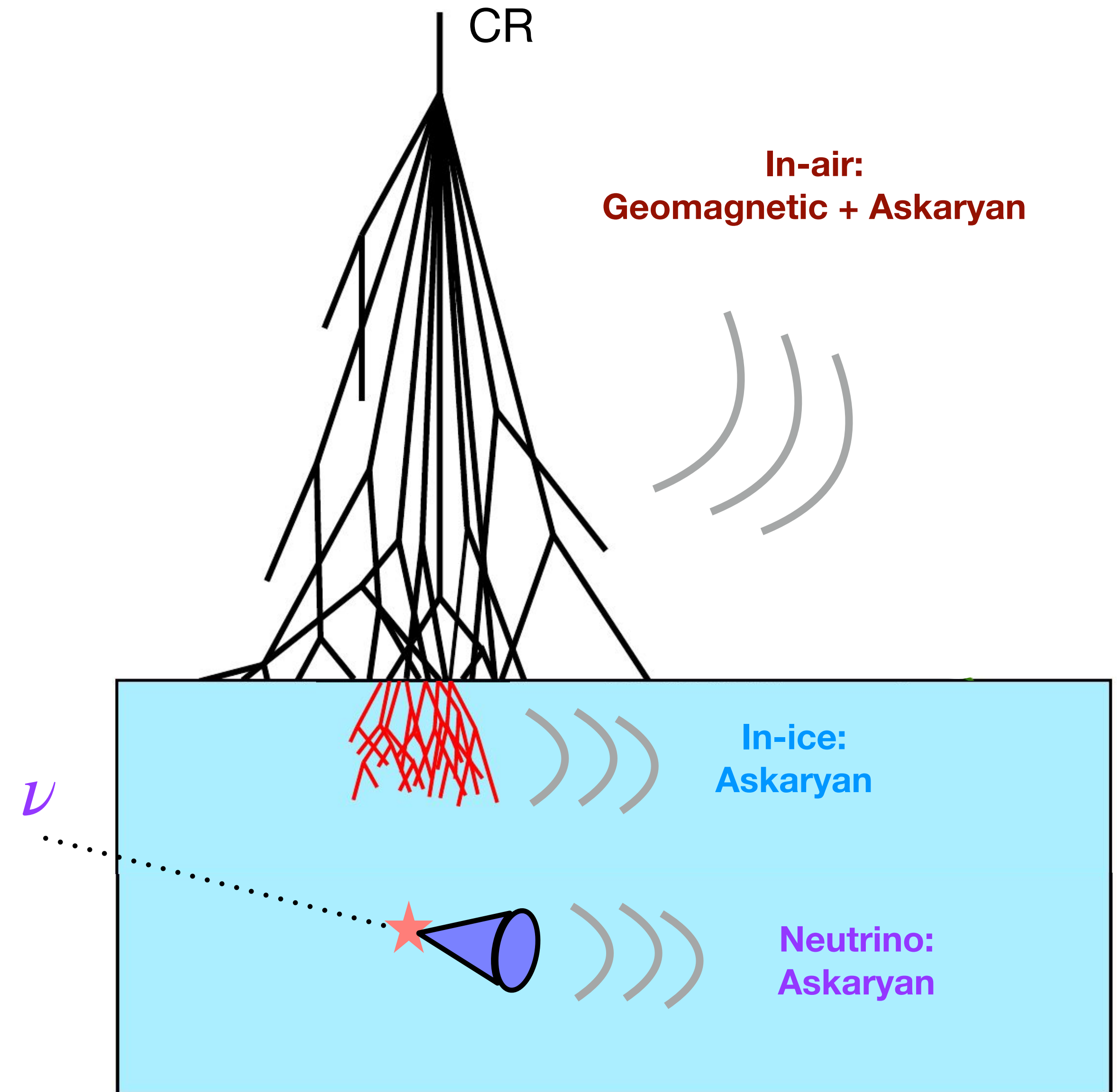
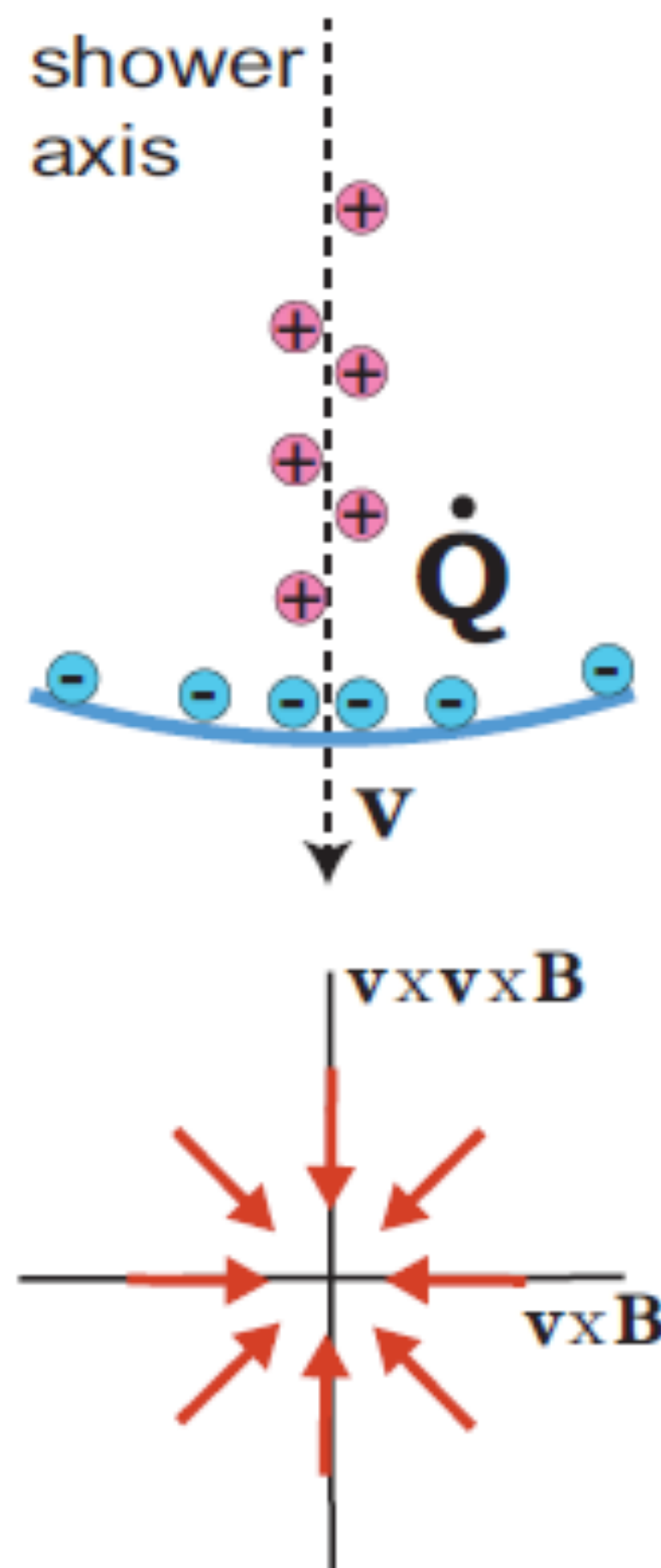


2 main sources for the radio emission of cosmic rays

Geomagnetic emission



Askaryan emission

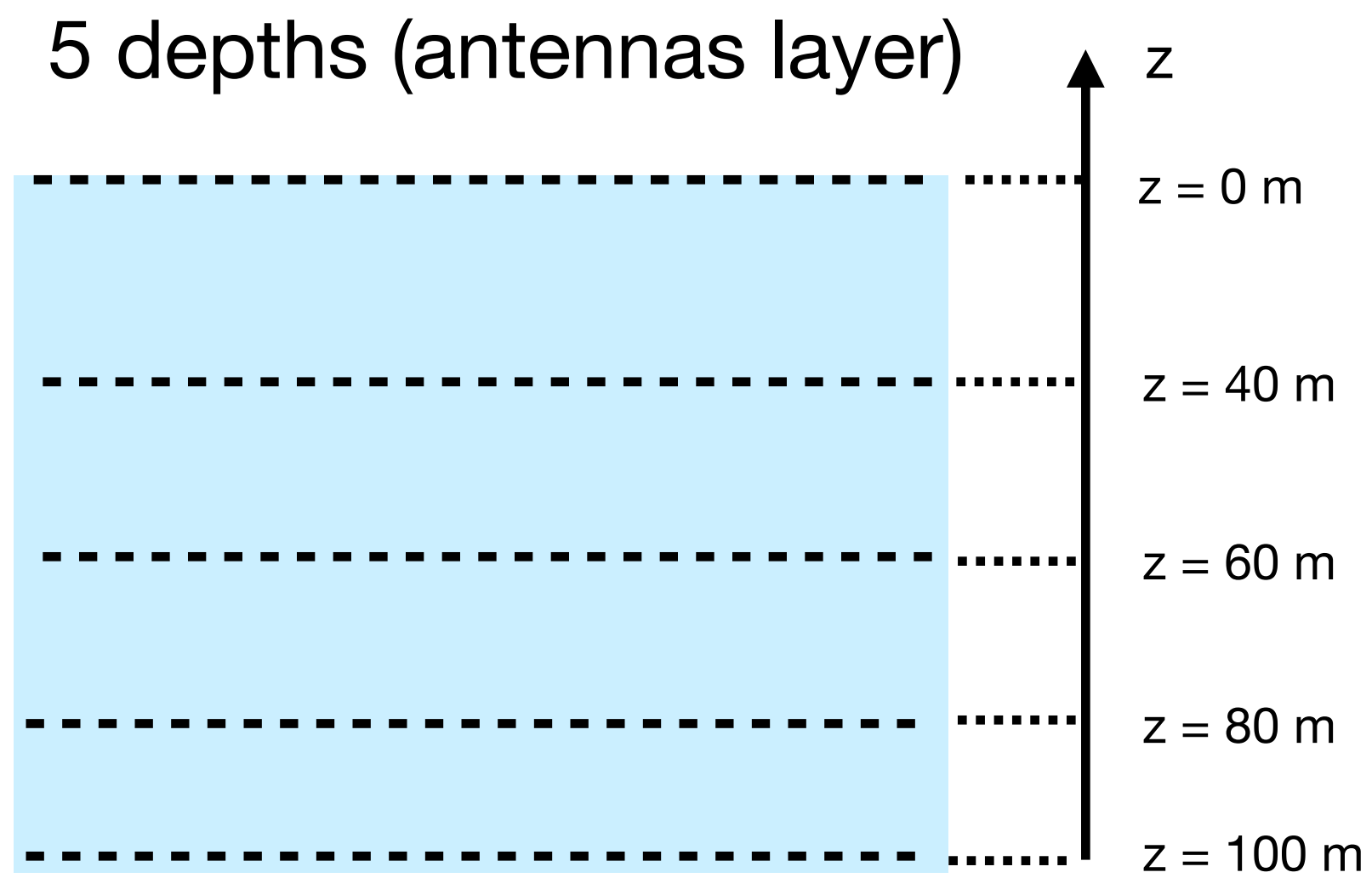
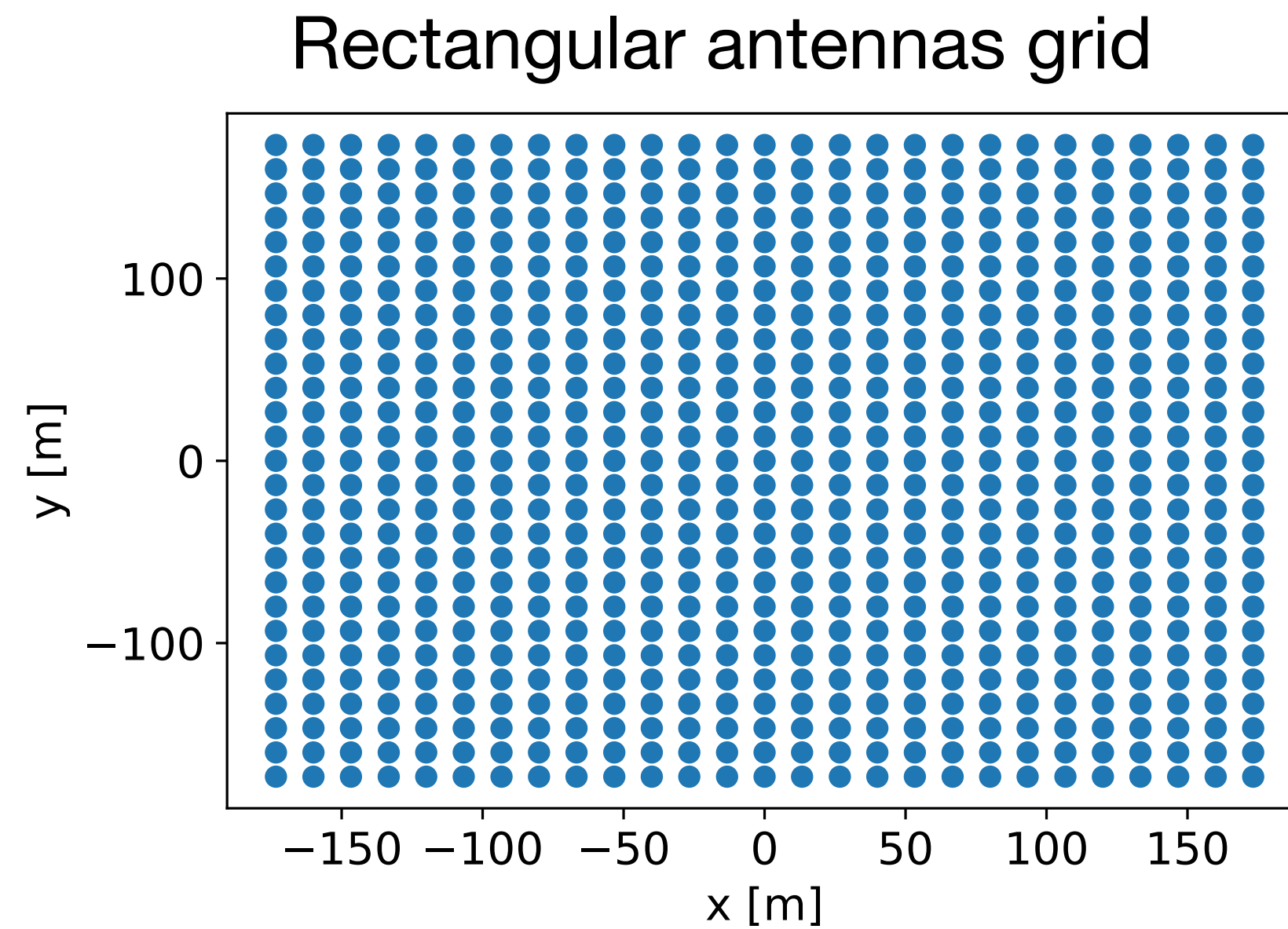


We simulated cosmic-ray radio emission using the Monte-Carlo tool FAERIE

(De Kockere et al., 2024 [2403.15358])

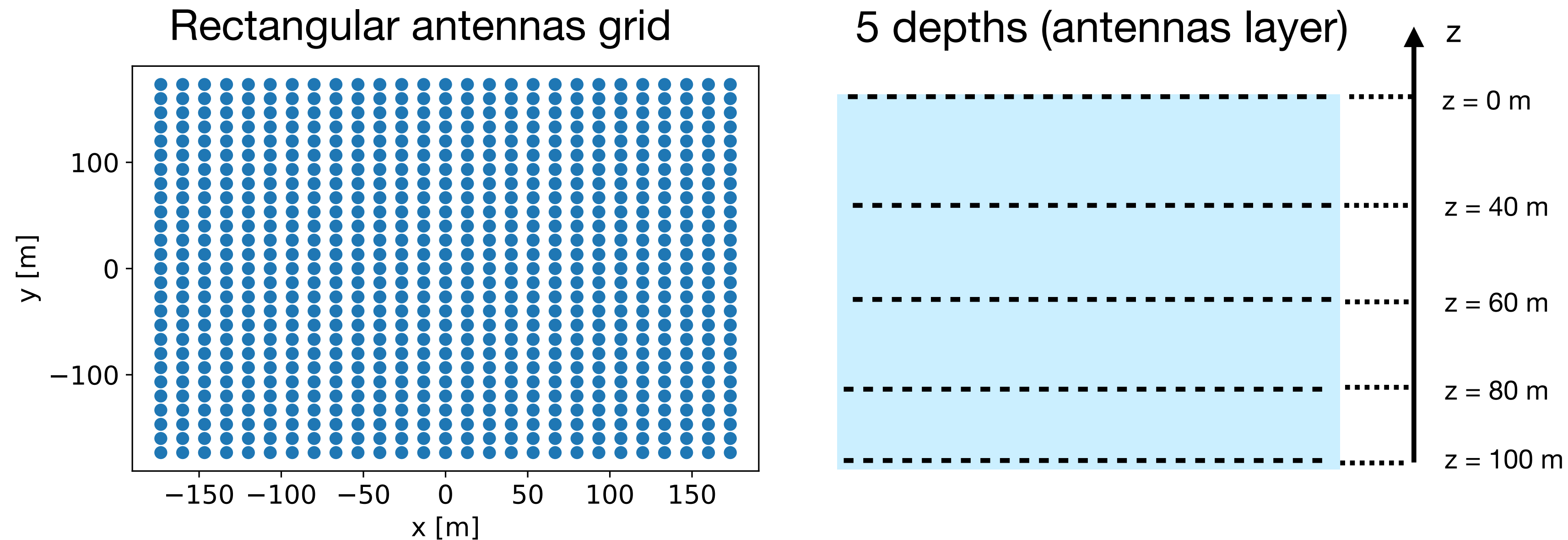
We simulated cosmic-ray radio emission using the Monte-Carlo tool **FAERIE**

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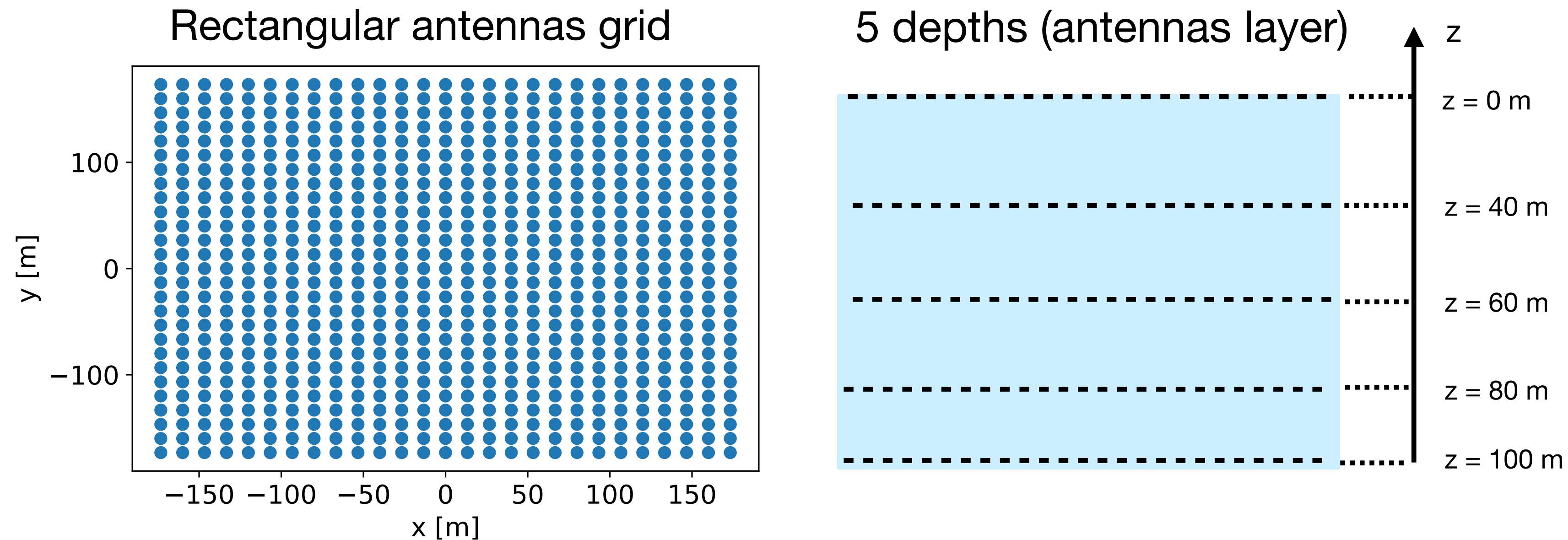
Ice profile: $n(z) = A - B \exp^{-C|z|}$

(Deaconu et al., 2018)

$ z < 14.9$ m	$A = 1.775, B = 0.5019, C = 0.03247$
$ z > 14.9$ m	$A = 1.775, B = 0.448023, C = 0.02469$

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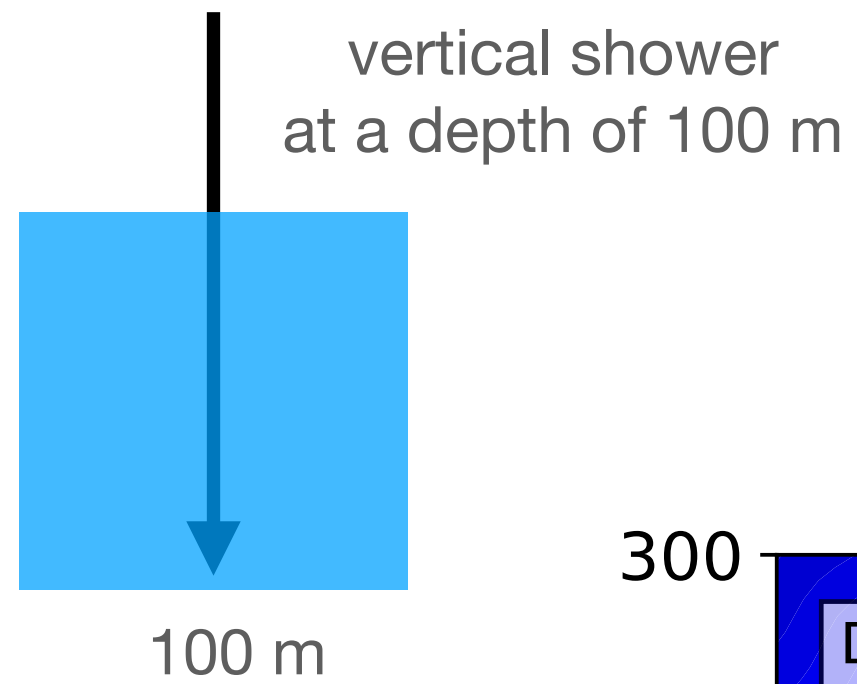


Ice profile: $n(z) = A - B \exp^{-C|z|}$ $|z| < 14.9 \text{ m}$ $A = 1.775, B = 0.5019, C = 0.03247$
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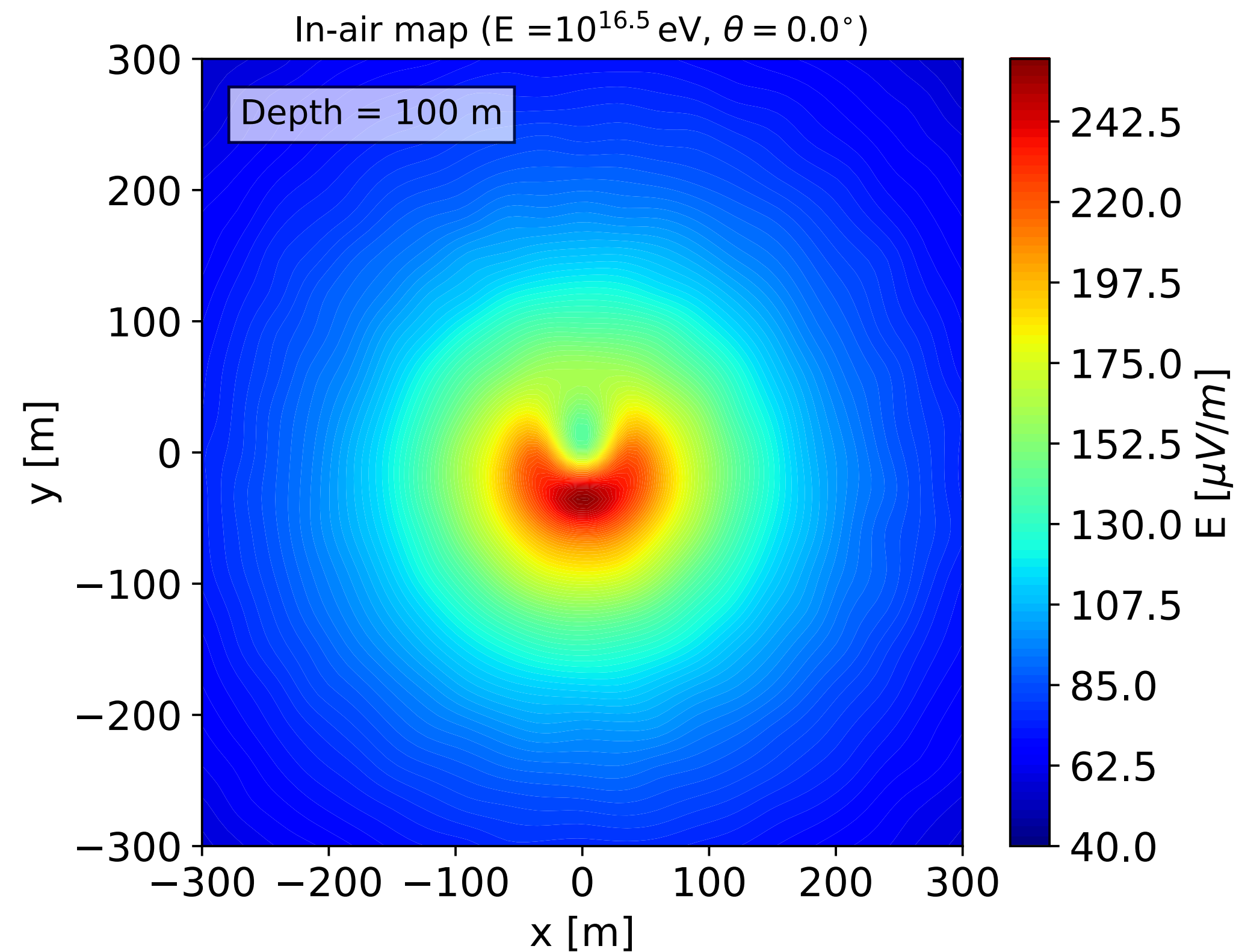
————→ We built a simulation library to investigate cosmic ray signatures

Proton primaries; $E = [10^{16.5} - 10^{17.5}] \text{ eV}$; $\theta = [0^\circ - 50^\circ]$; $\varphi = 0^\circ$; $\mathbf{B} = \mathbf{B}^{\text{summit}}$

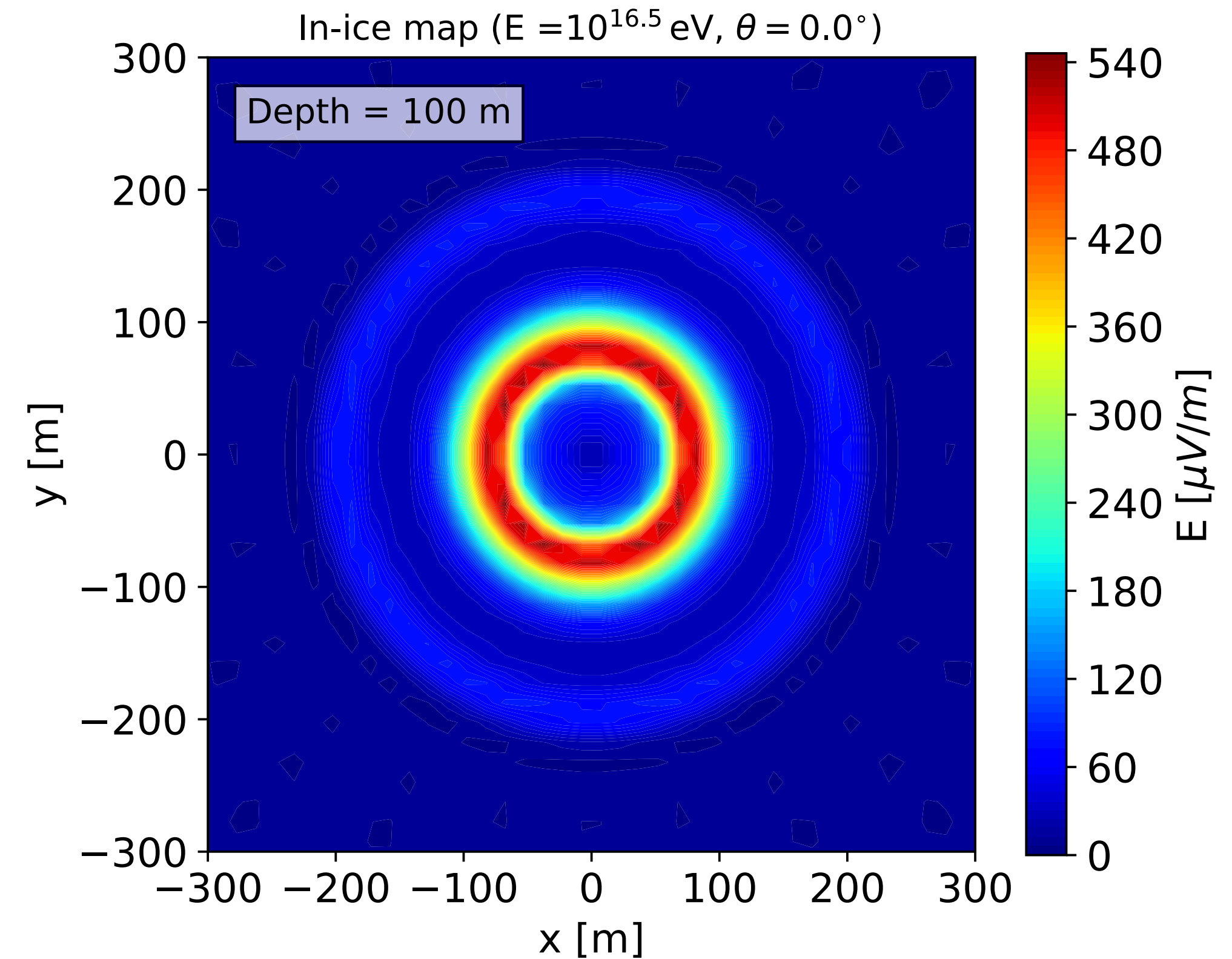
Simulated electric field maps at the antenna level



In-air



In-ice



- In-air emission: Destructive interferences between geomagnetic and Askaryan
- In-ice emission: Rotationally symmetric emission pattern

We want to evaluate the relative contribution of the air/ice component

$$E_{\text{rad}} = \int_{x_{\min}}^{x_{\max}} \int_{y_{\min}}^{y_{\max}} f(x, y) dx dy$$

Radiation energy
(Glaser et al., 2016)

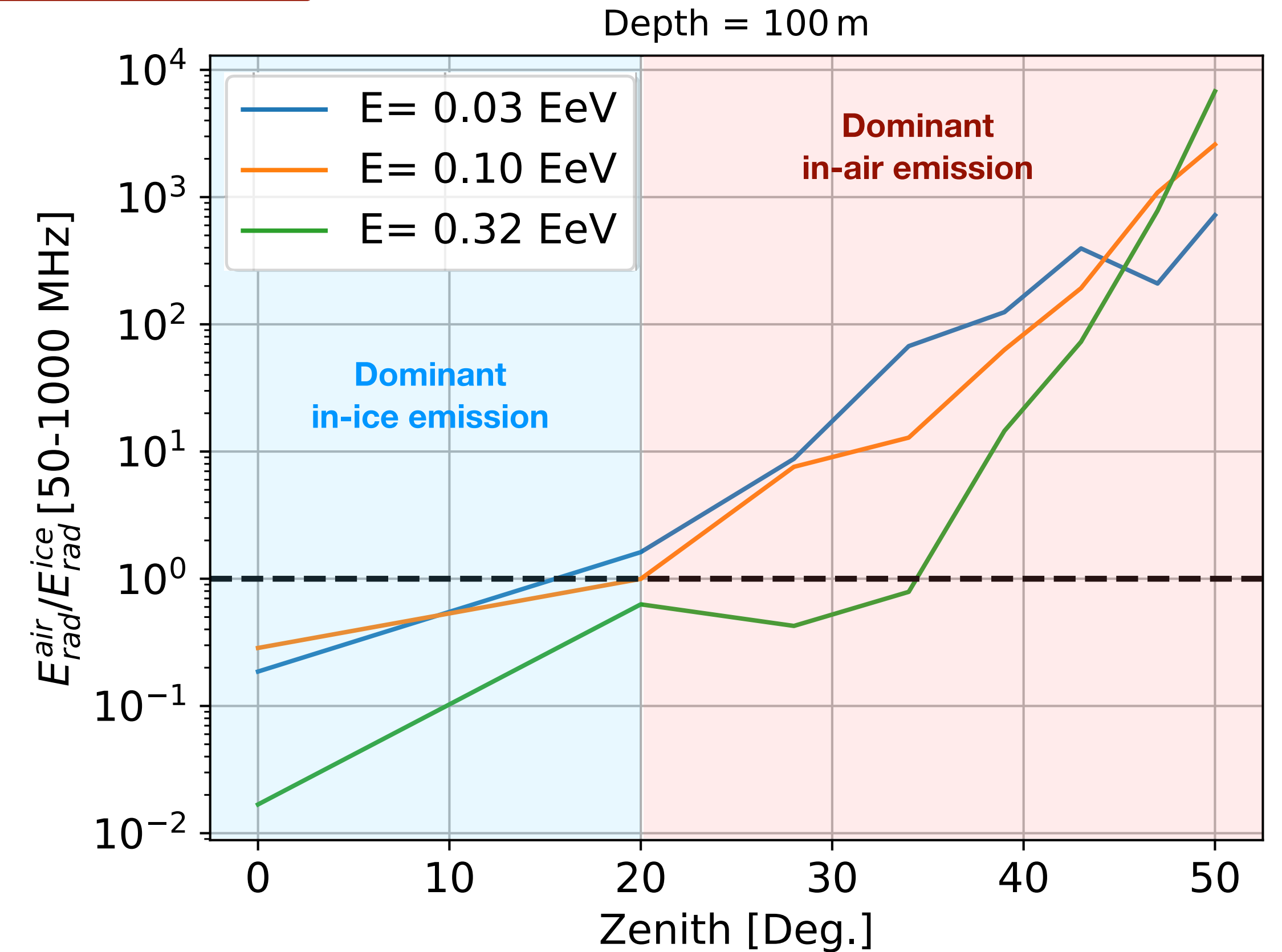
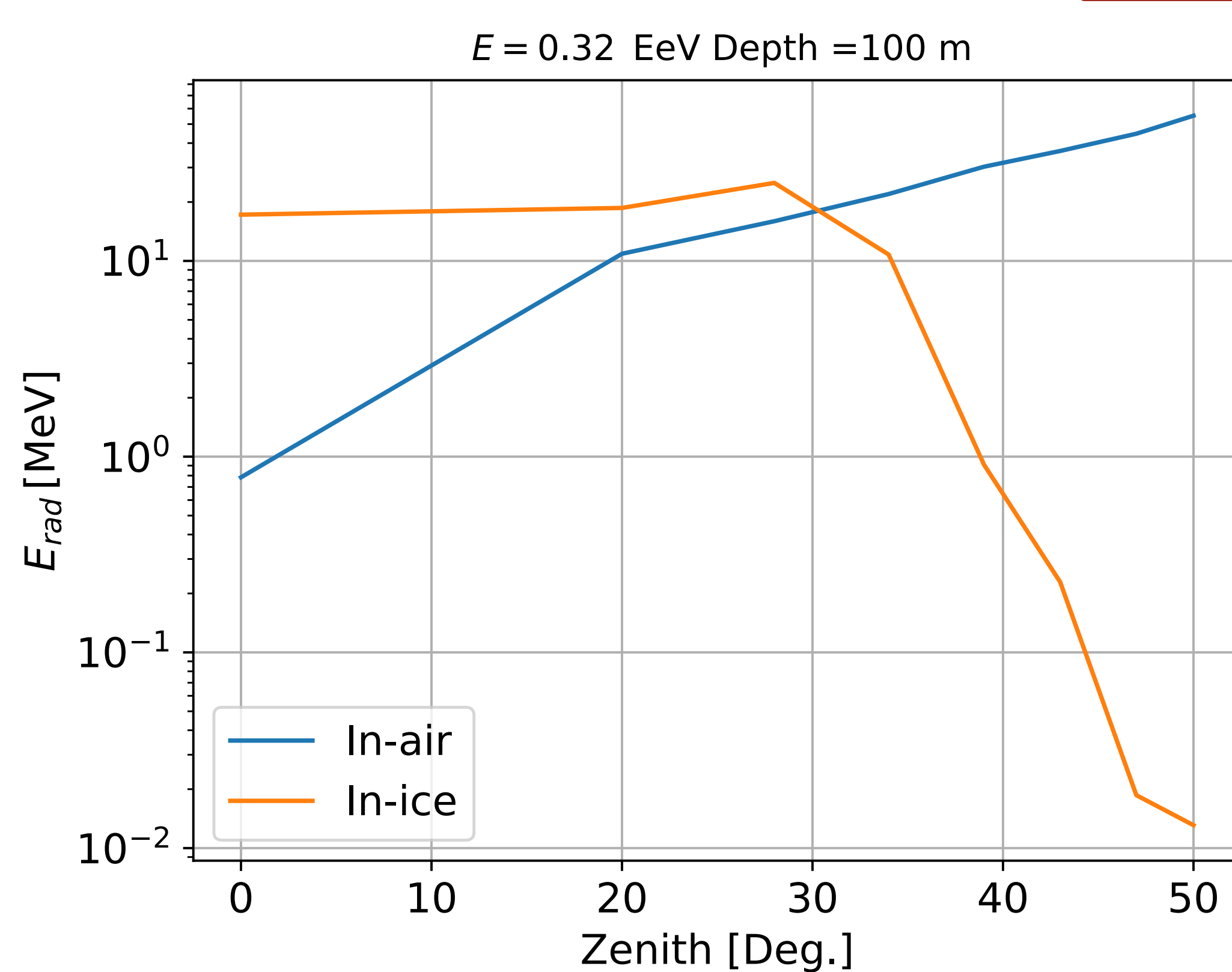
We want to evaluate the relative contribution of the air/ice component

Results from one single shower:

Error-bars (shower-to shower fluctuations) to be included

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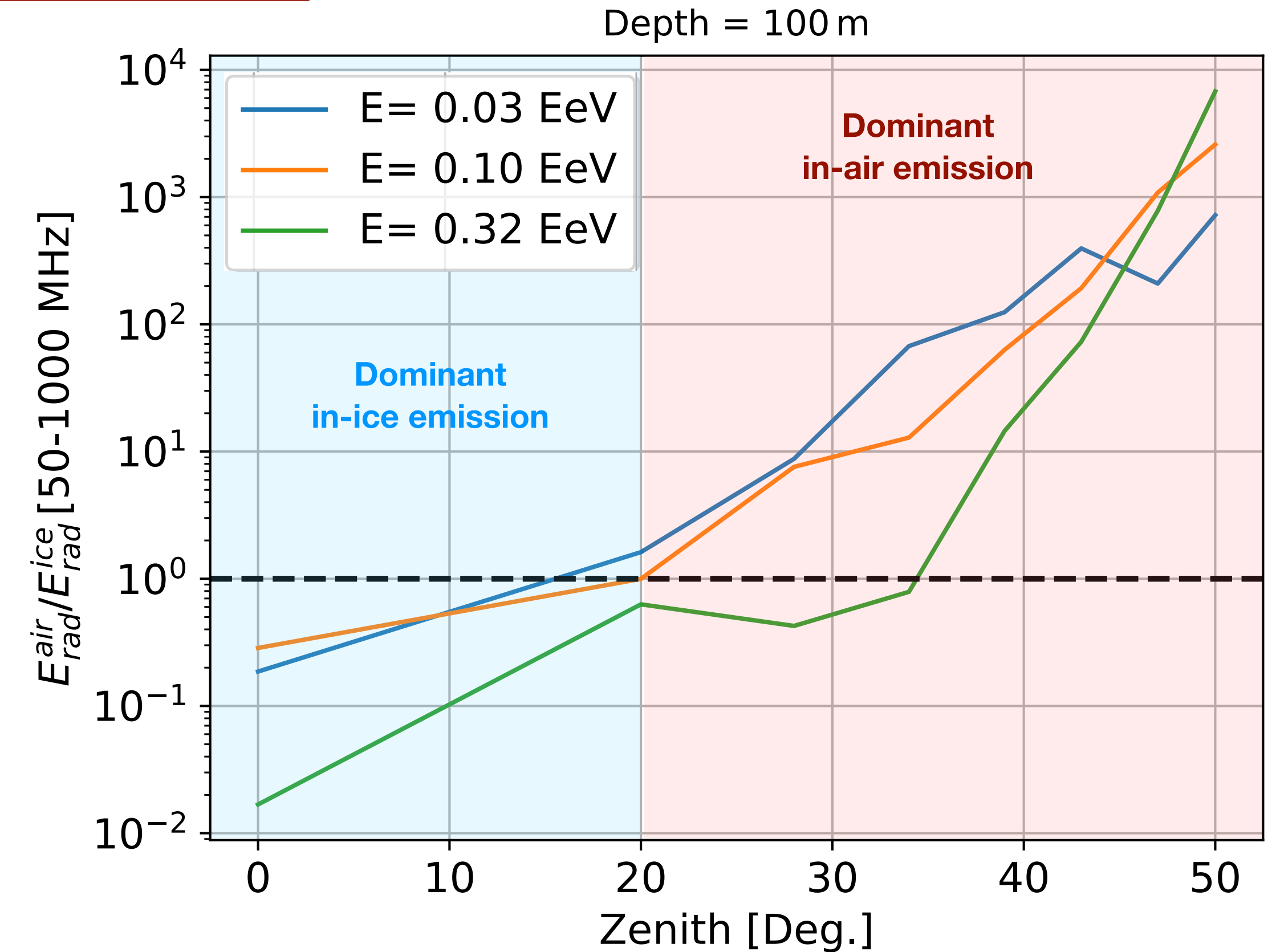
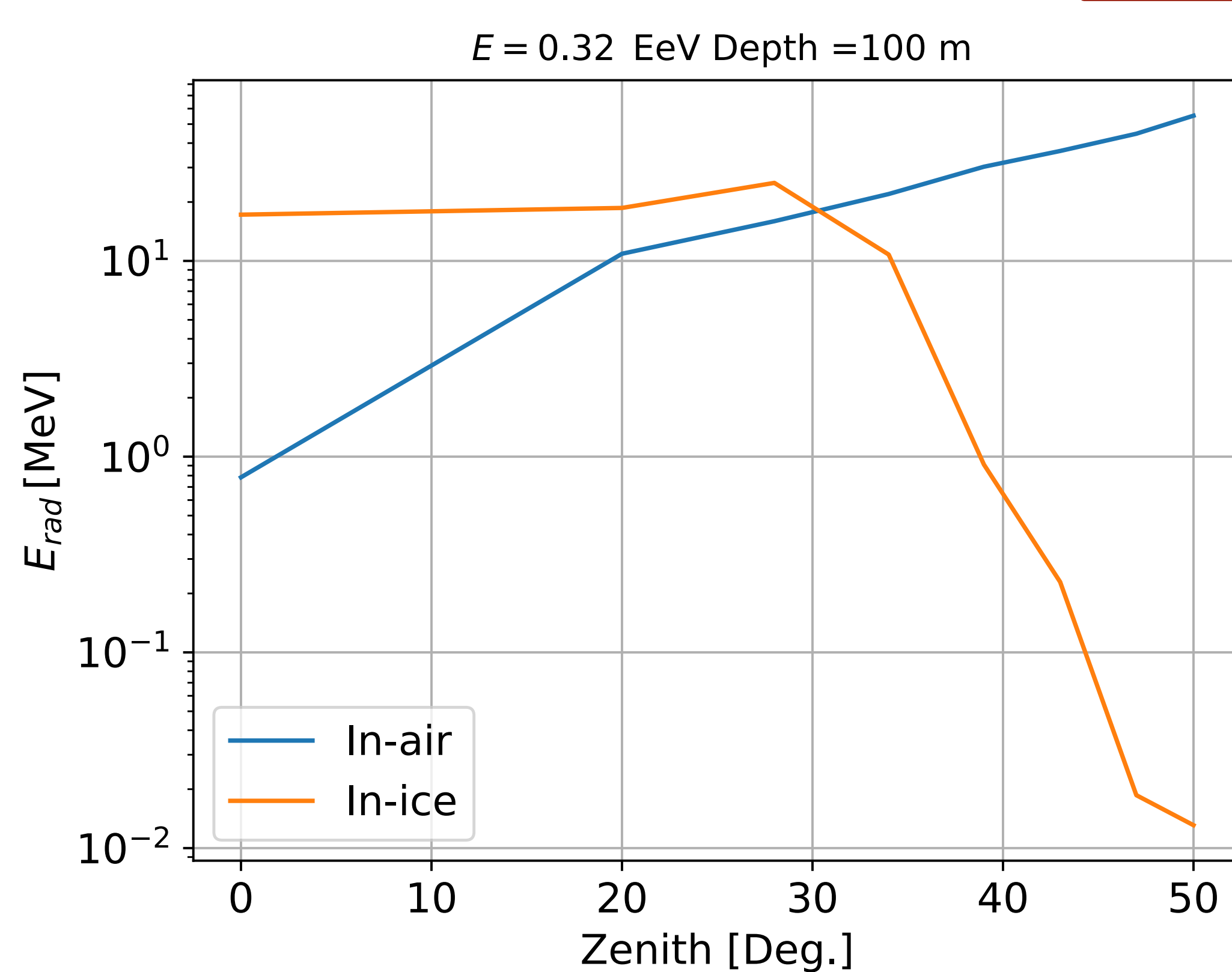
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➔ Decreasing in-ice contribution with increasing zenith angle

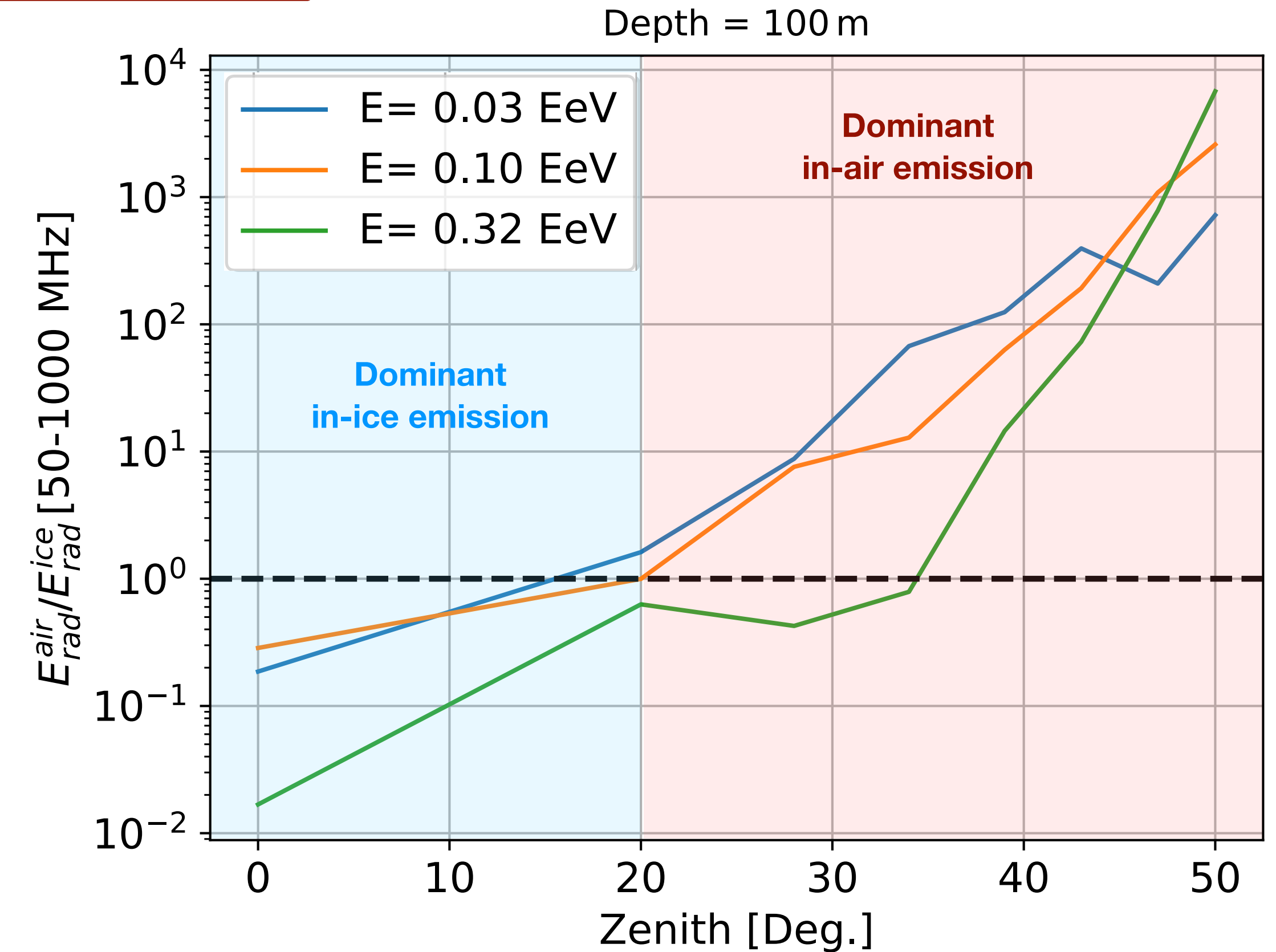
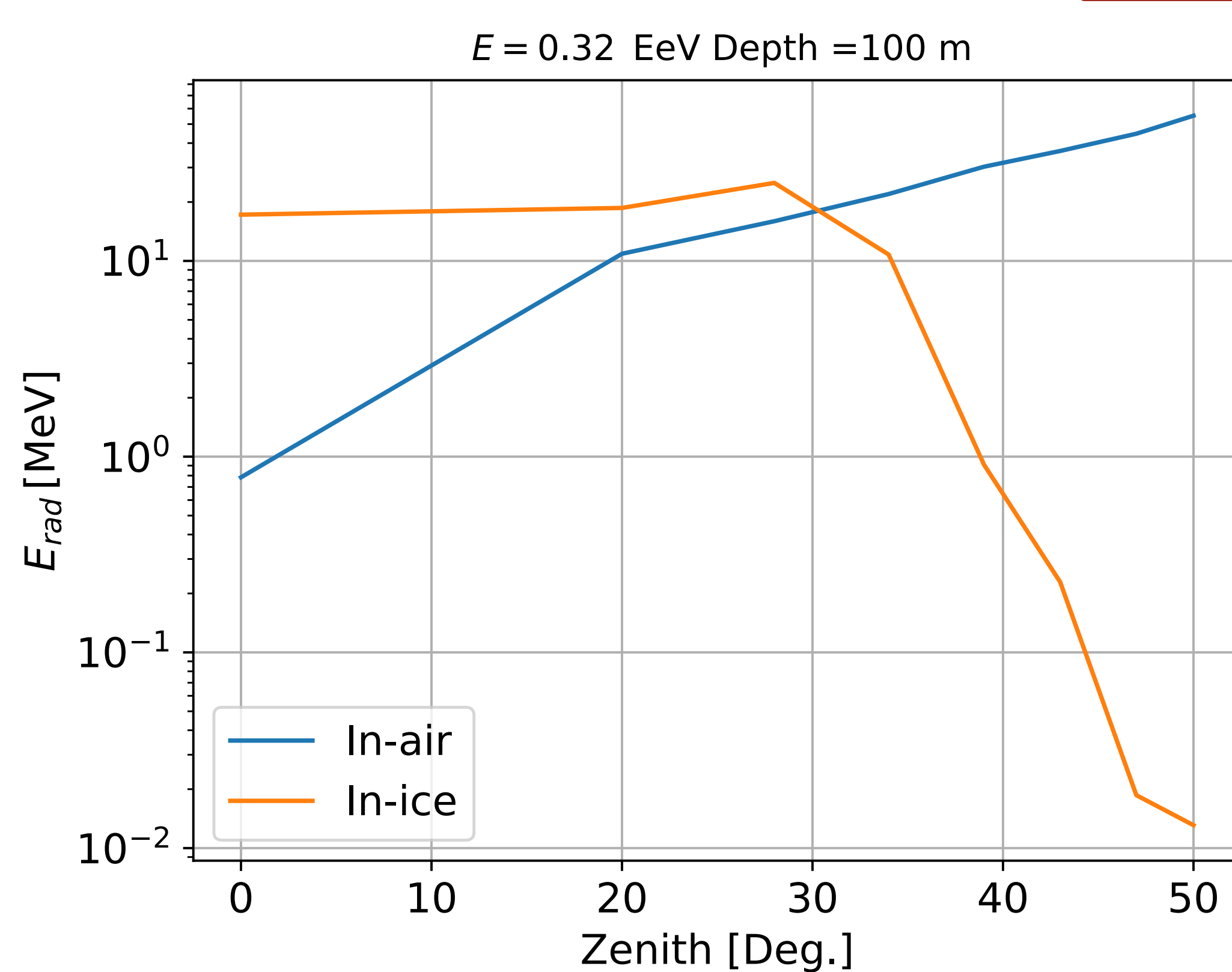
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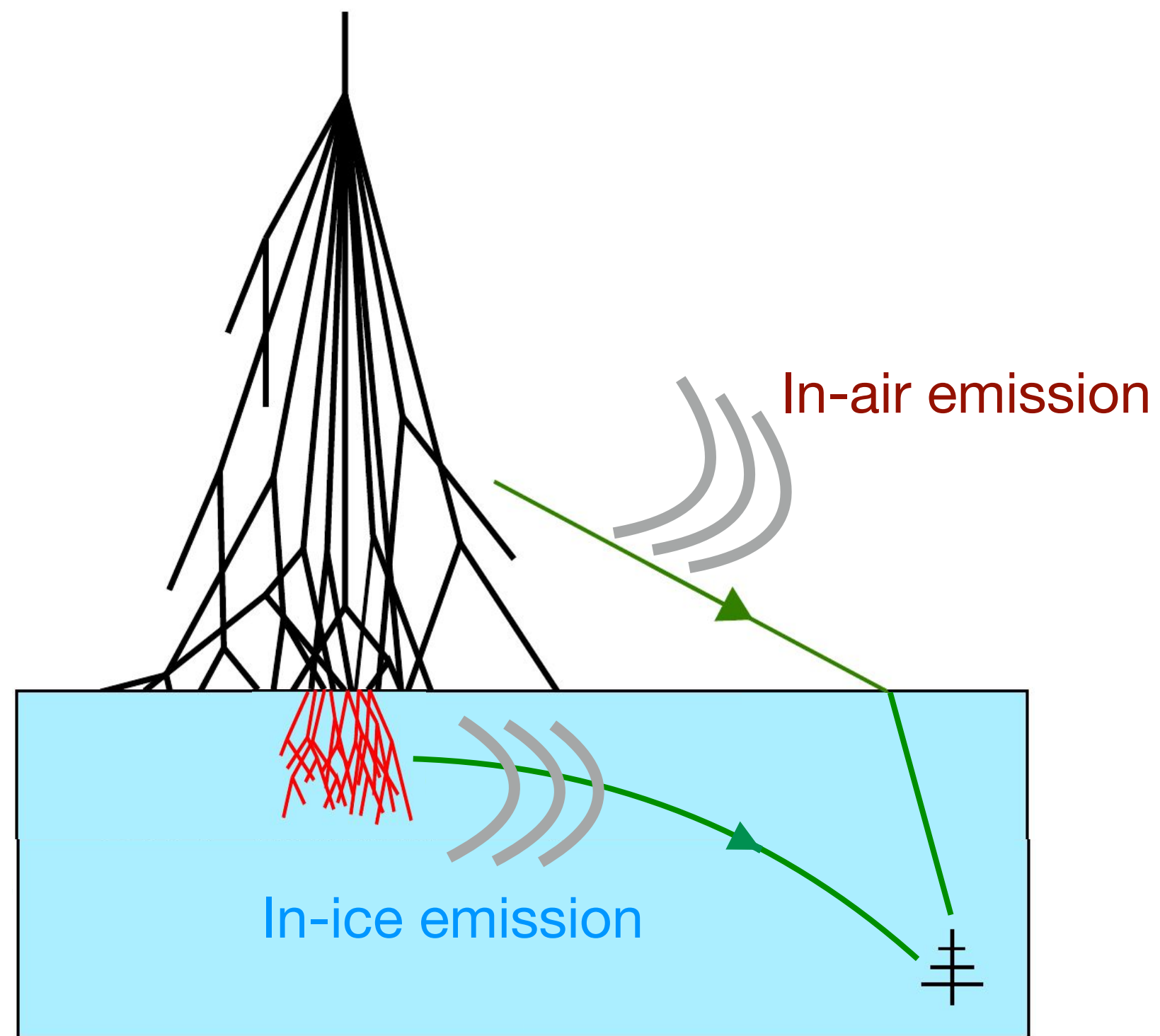


- ➔ Decreasing in-ice contribution with increasing zenith angle
- ➔ Dominant in-air contribution for showers with zenith angle $\theta \gtrsim 20^\circ$

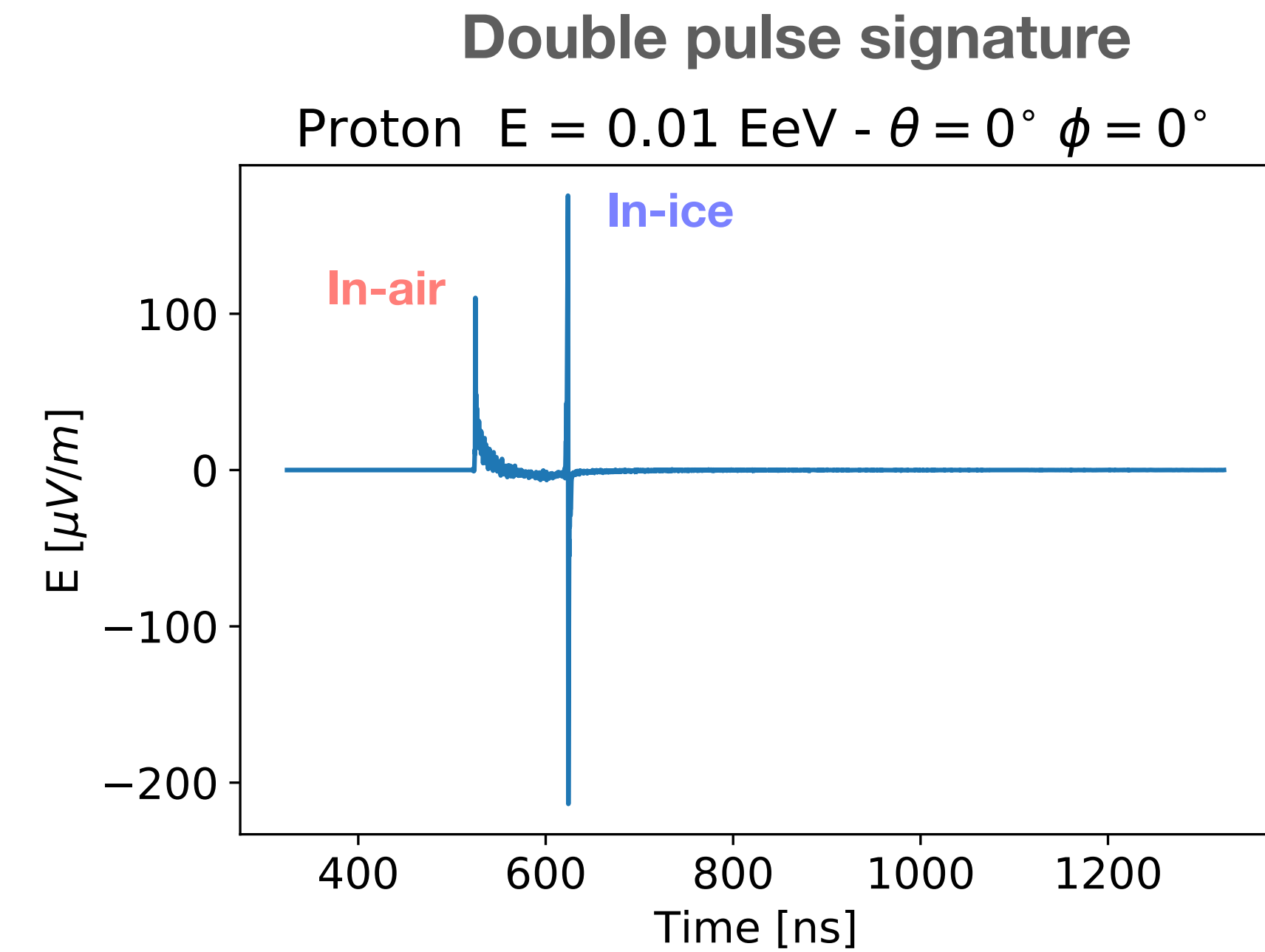
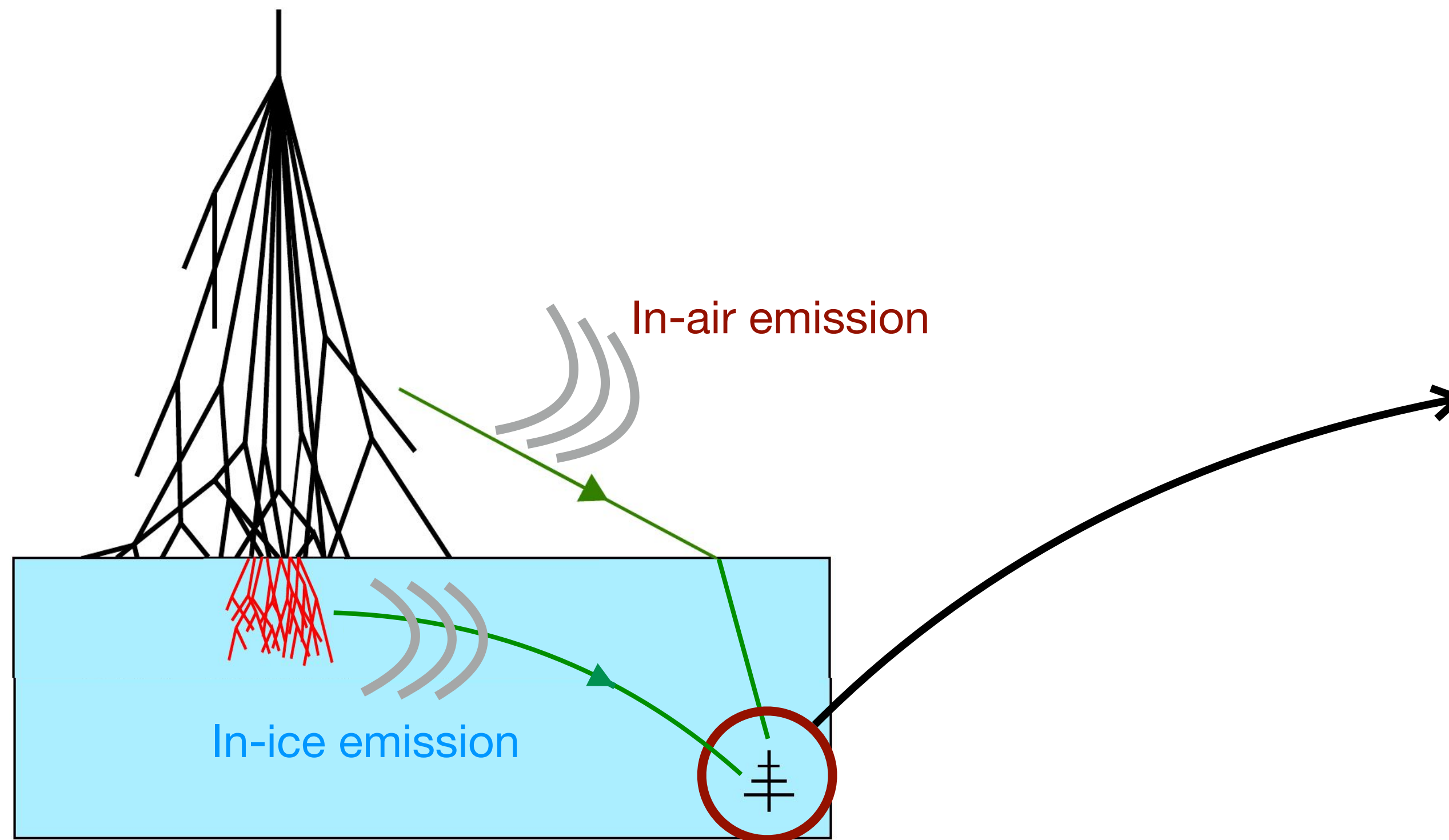
An aerial photograph of a vast, flat, snow-covered landscape under a clear blue sky. The horizon is visible in the upper third of the frame. In the lower half, there are several small, rectangular structures or buildings, some with yellow roofs, scattered across the snow. A large, semi-transparent blue rounded rectangle is centered in the middle of the image, containing the text "Double pulse signature" in bold black font.

Double pulse signature

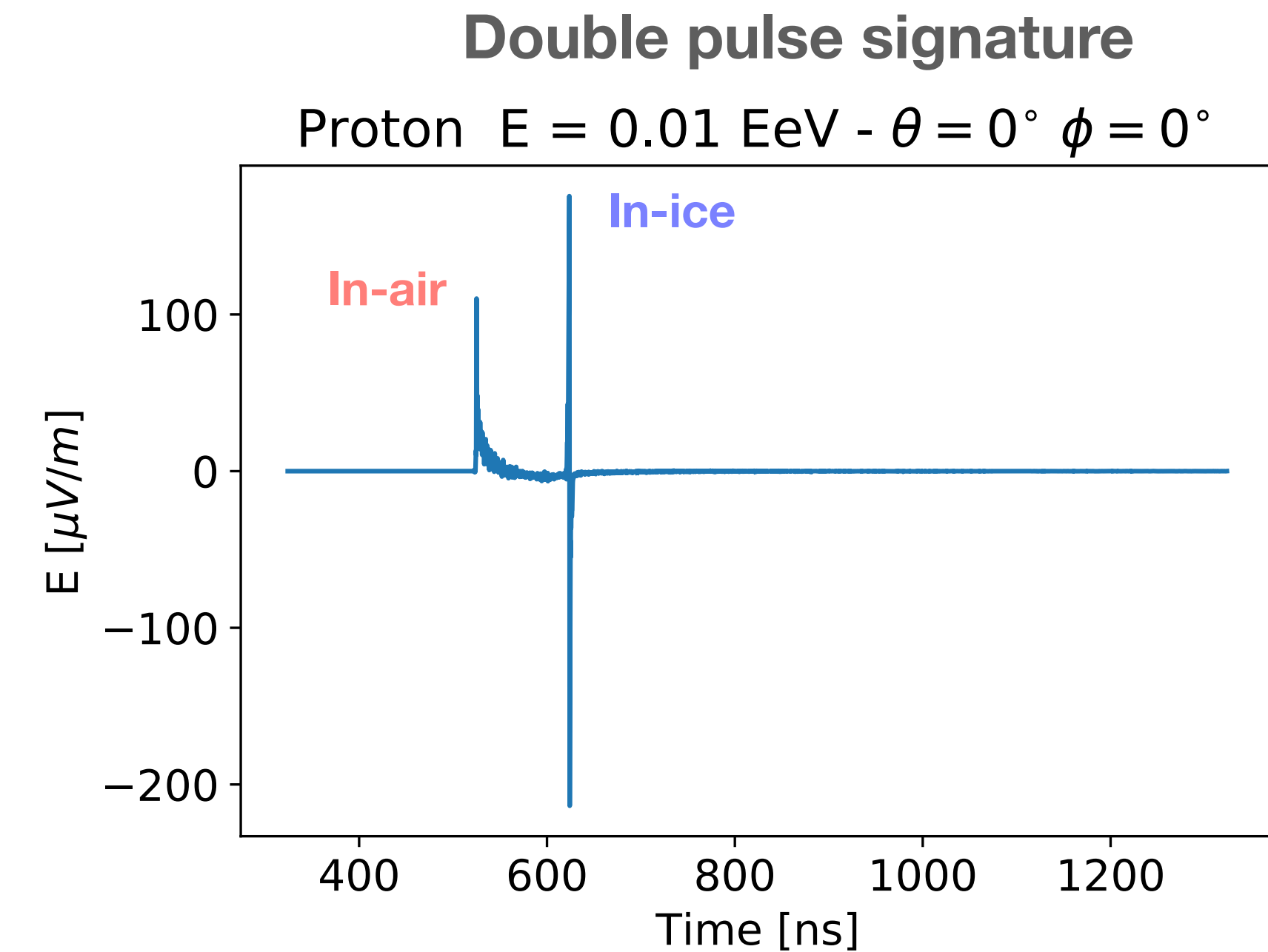
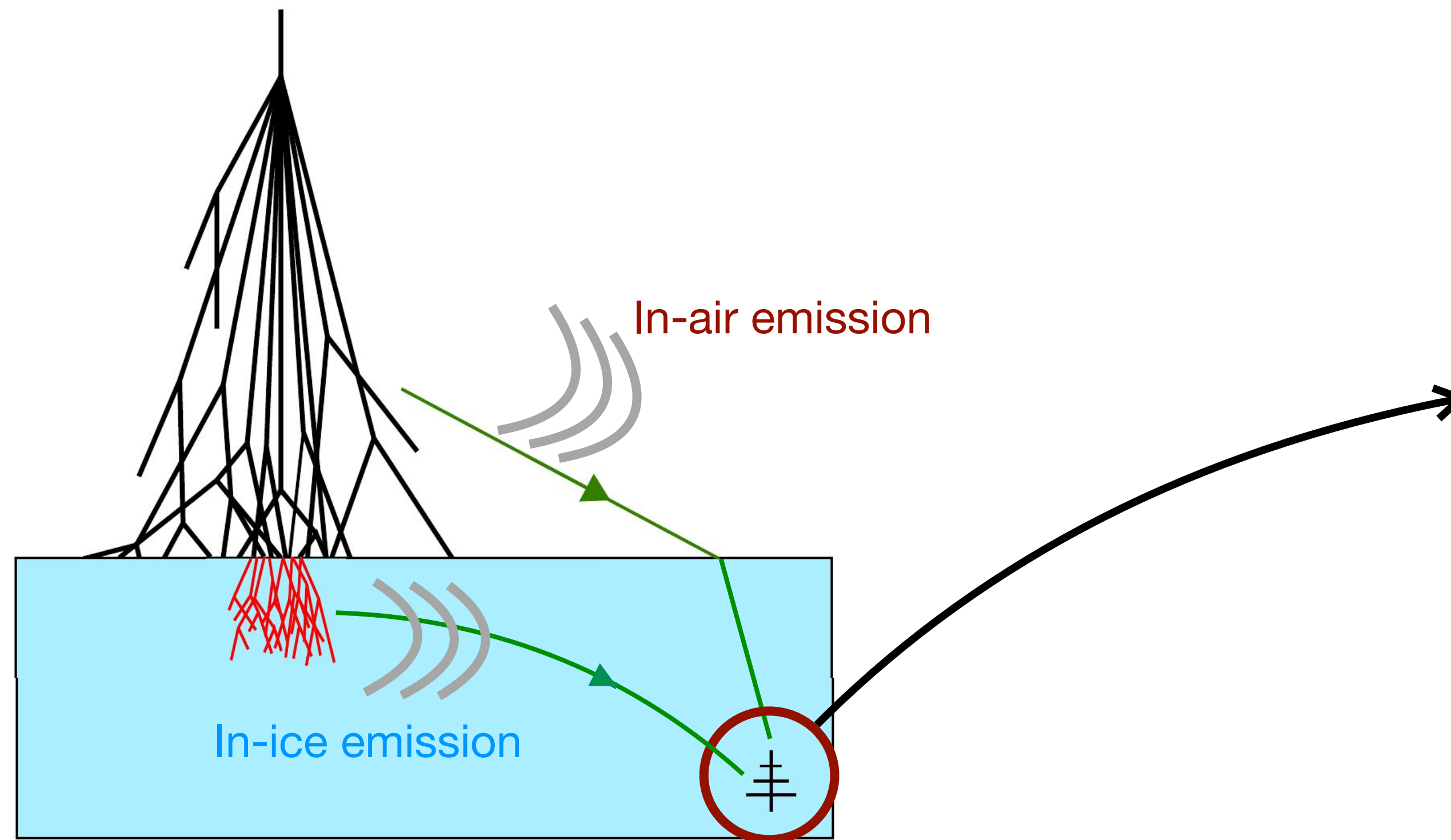
The in-air and the in-ice emissions can sometimes reach both the same antenna



The in-air and the in-ice emissions can sometimes reach both the same antenna



The in-air and the in-ice emissions can sometimes reach both the same antenna



How to identify double pulses?:

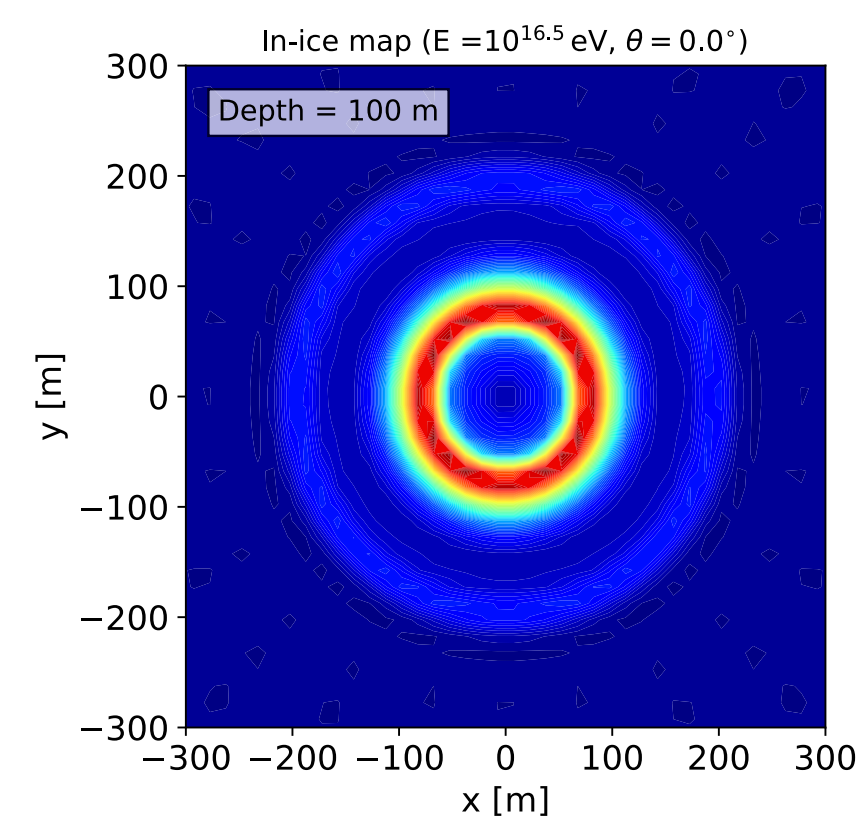
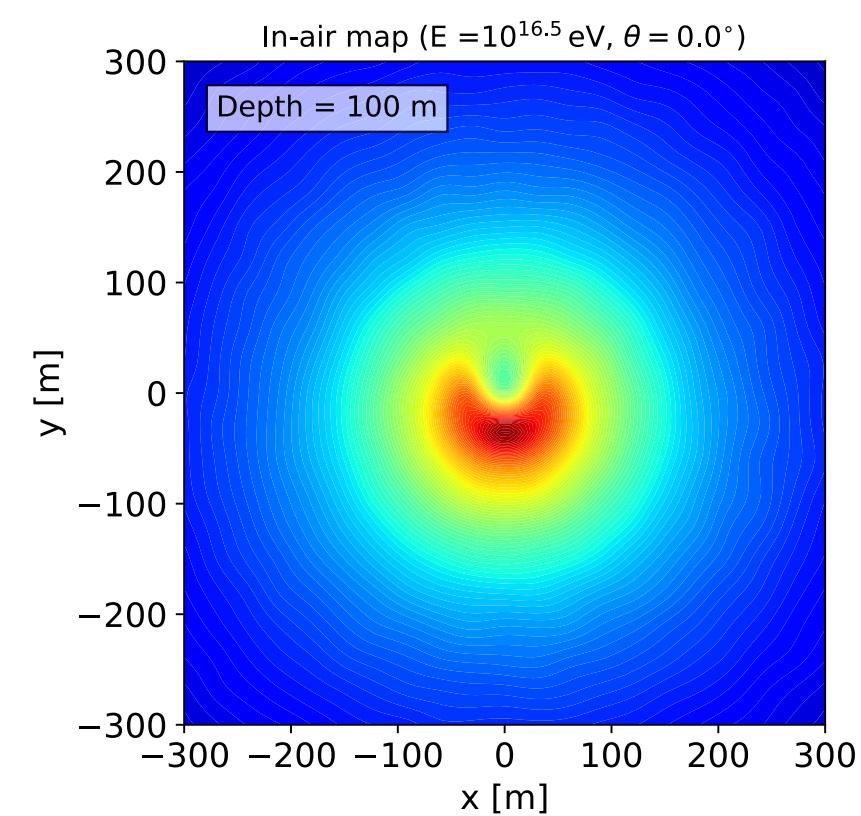
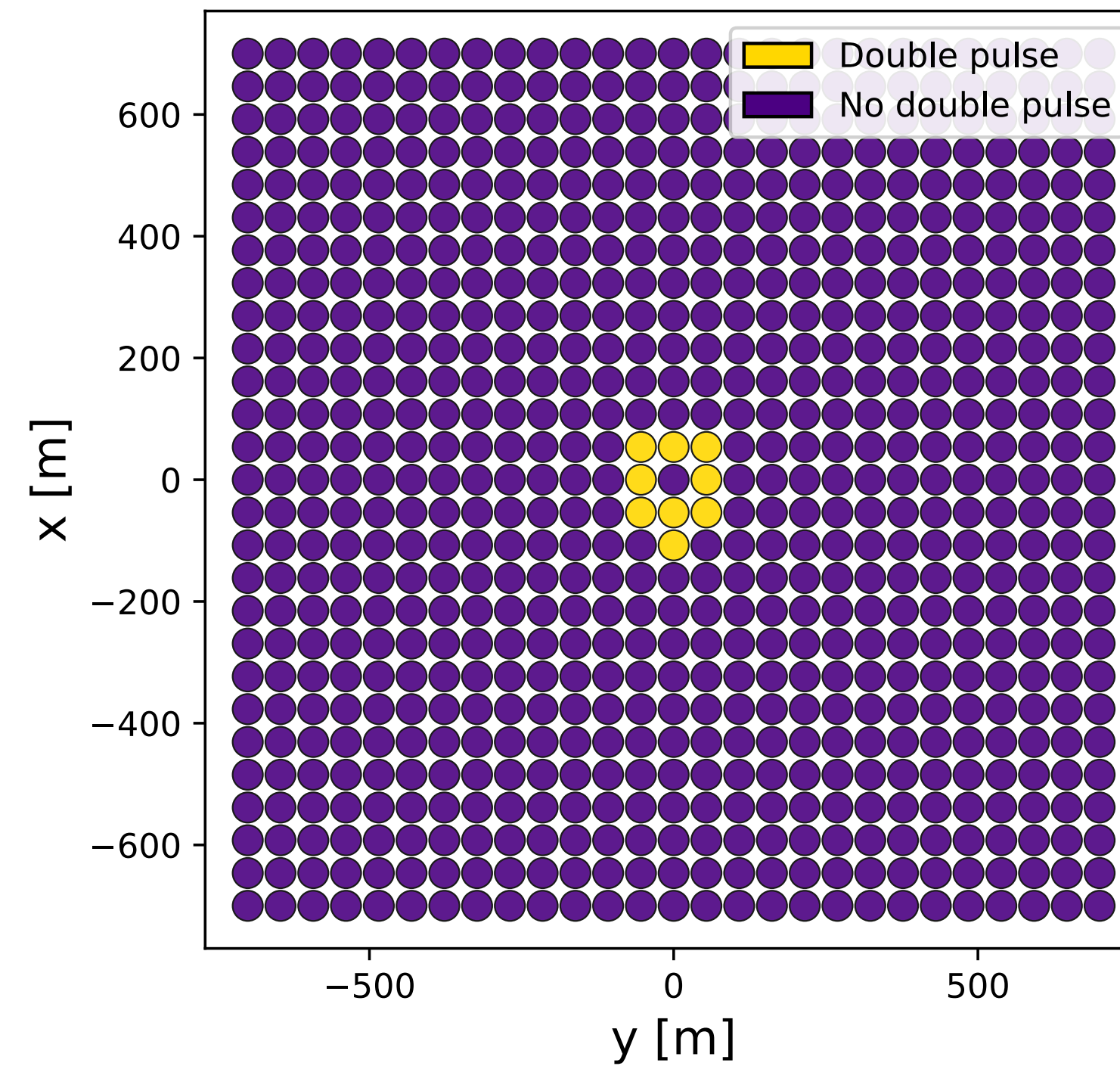
- (1) Requires at least one pulse with peak amplitude $E_1^{\text{peak}} > 100 \mu\text{V/m}$ (trigger at the antenna)
- (2) Requires a secondary pulse with peak amplitude $E_2^{\text{peak}} > 60 \mu\text{V/m}$

Double pulse map:

- Vertical showers:
almost rotationally symmetric distribution
- Inclined showers:
distribution elongated towards the shower azimuthal direction (shadowing effects)

Double pulses map

$E = 0.316 \text{ EeV}$, $\theta = 0^\circ$, Depth = 100 m

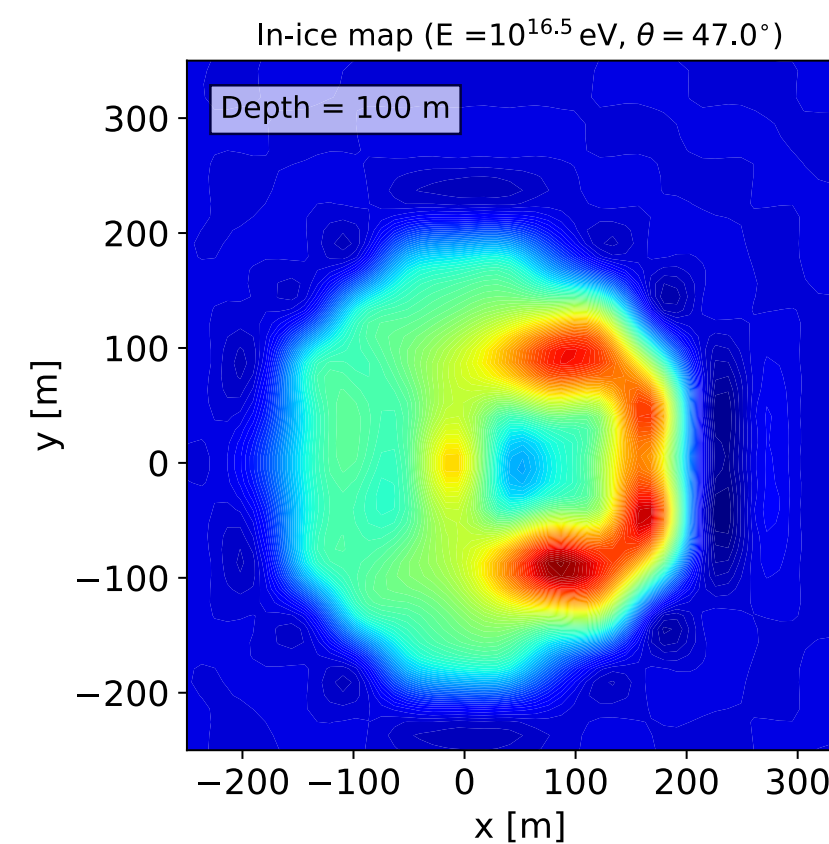
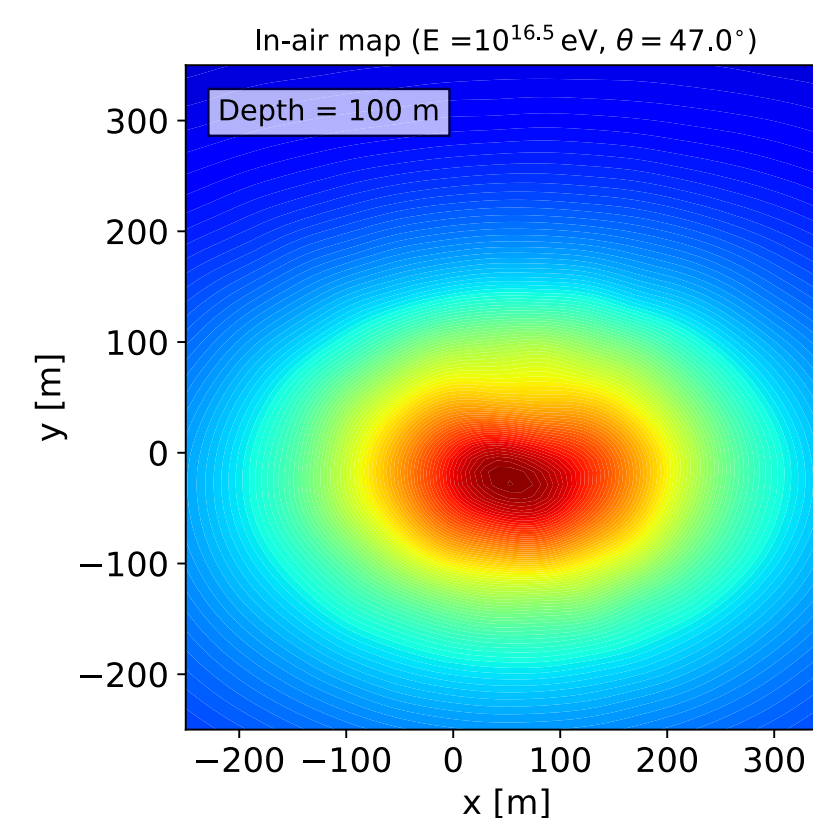
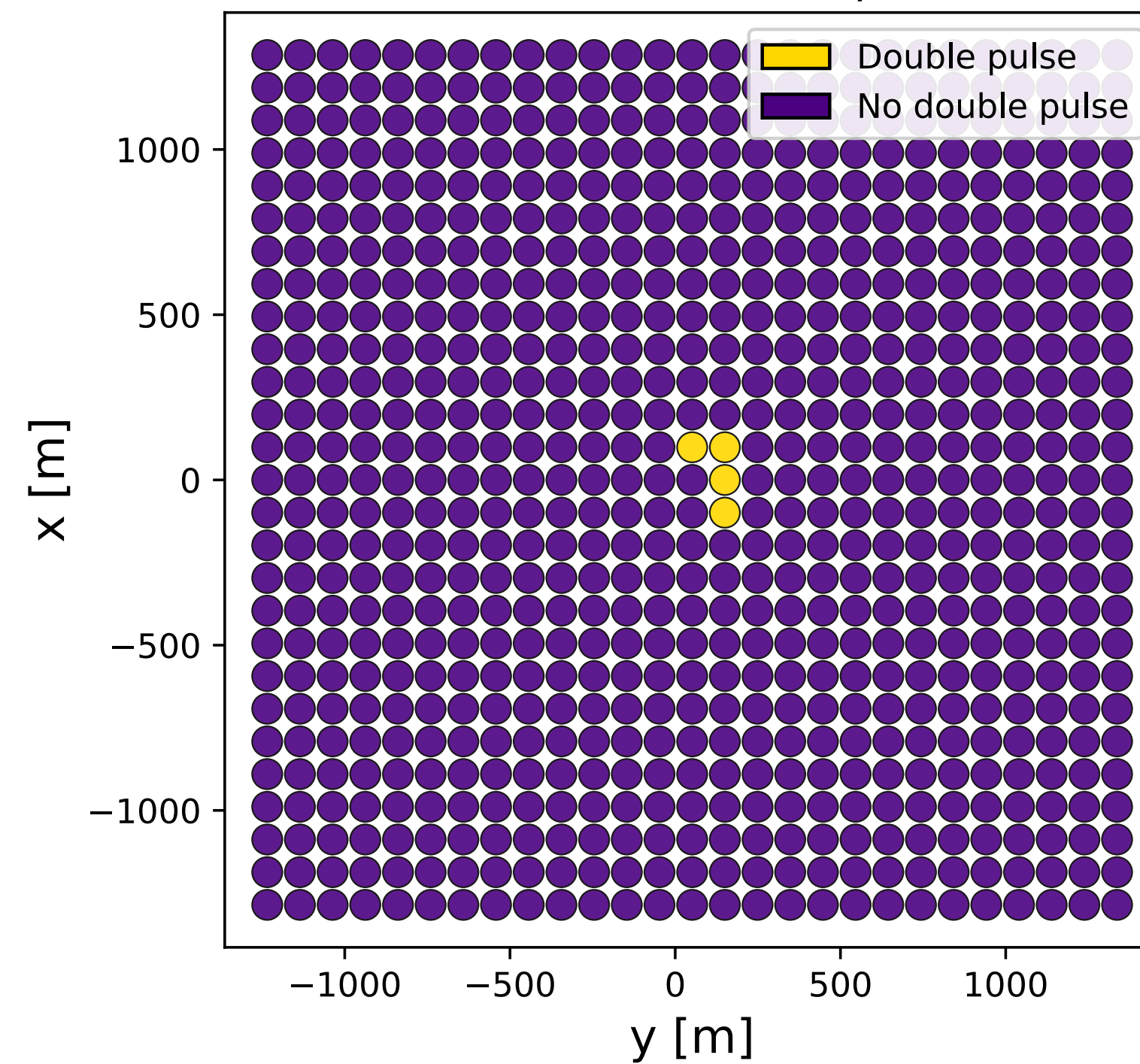


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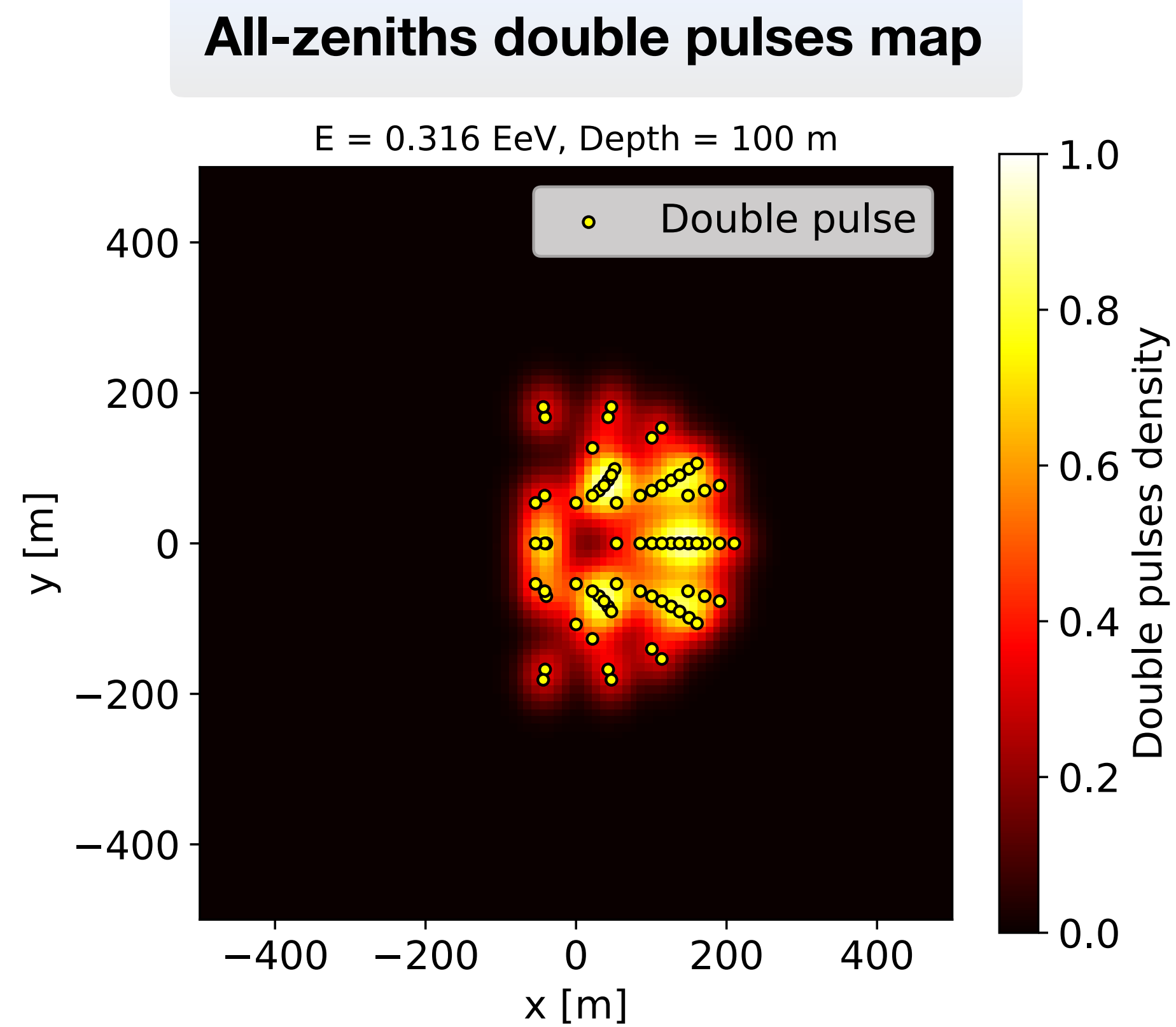
Double pulses map

$E = 0.316 \text{ EeV}$, $\theta = 47^\circ$, Depth = 100 m



Double pulse map:

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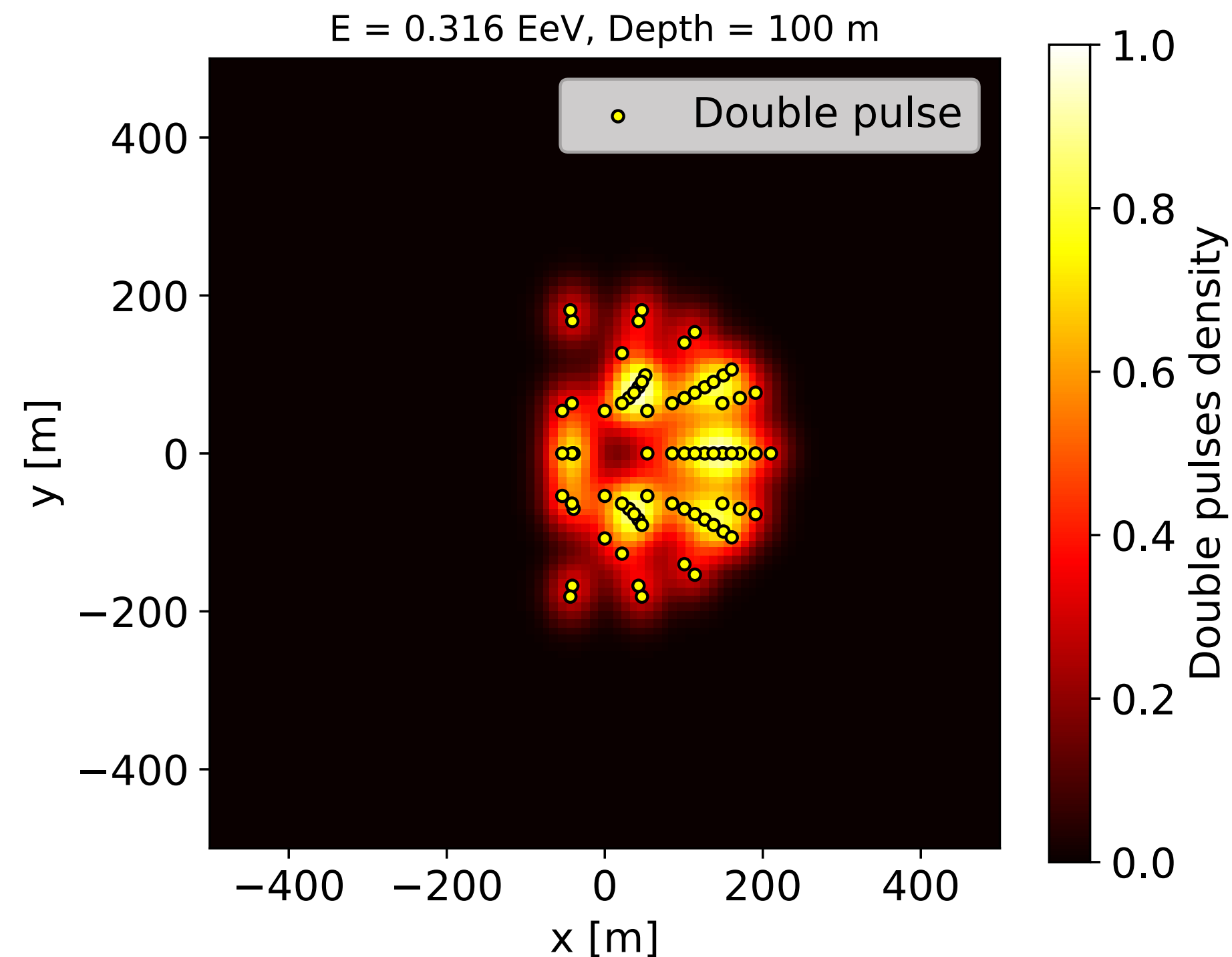
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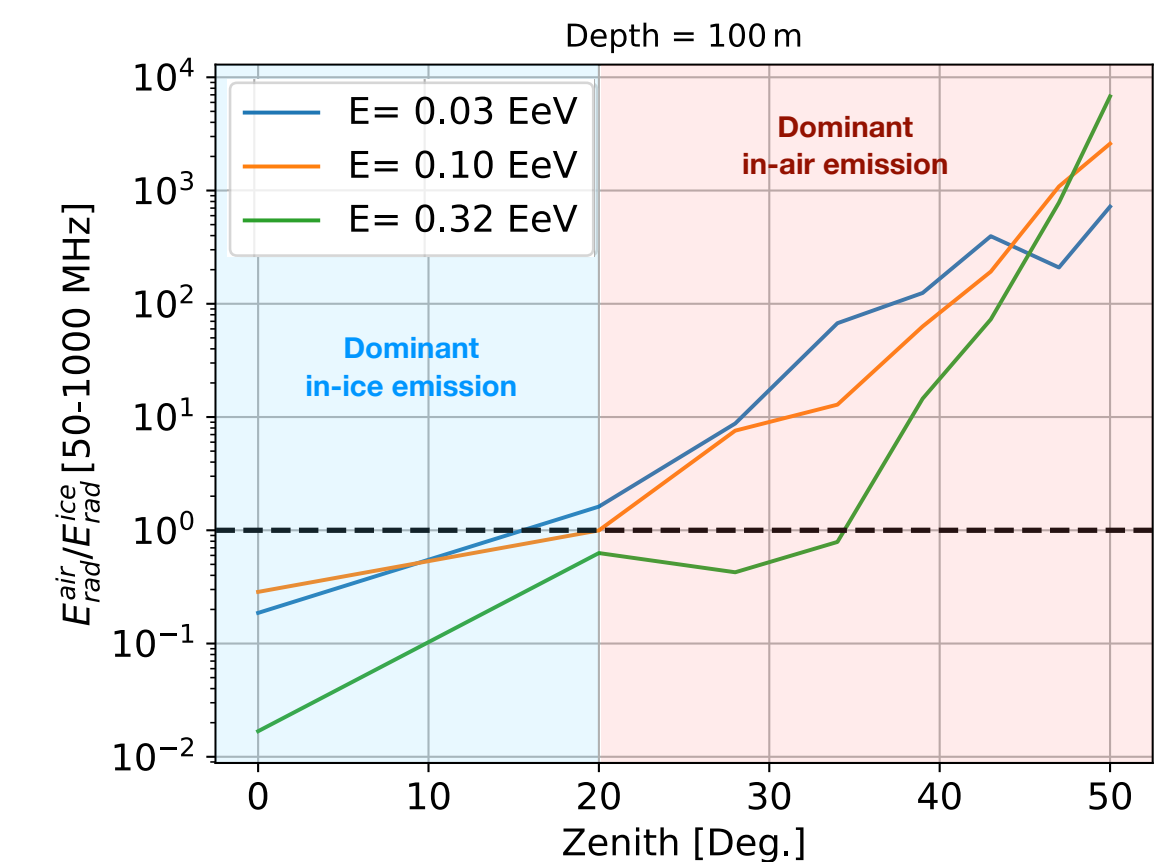
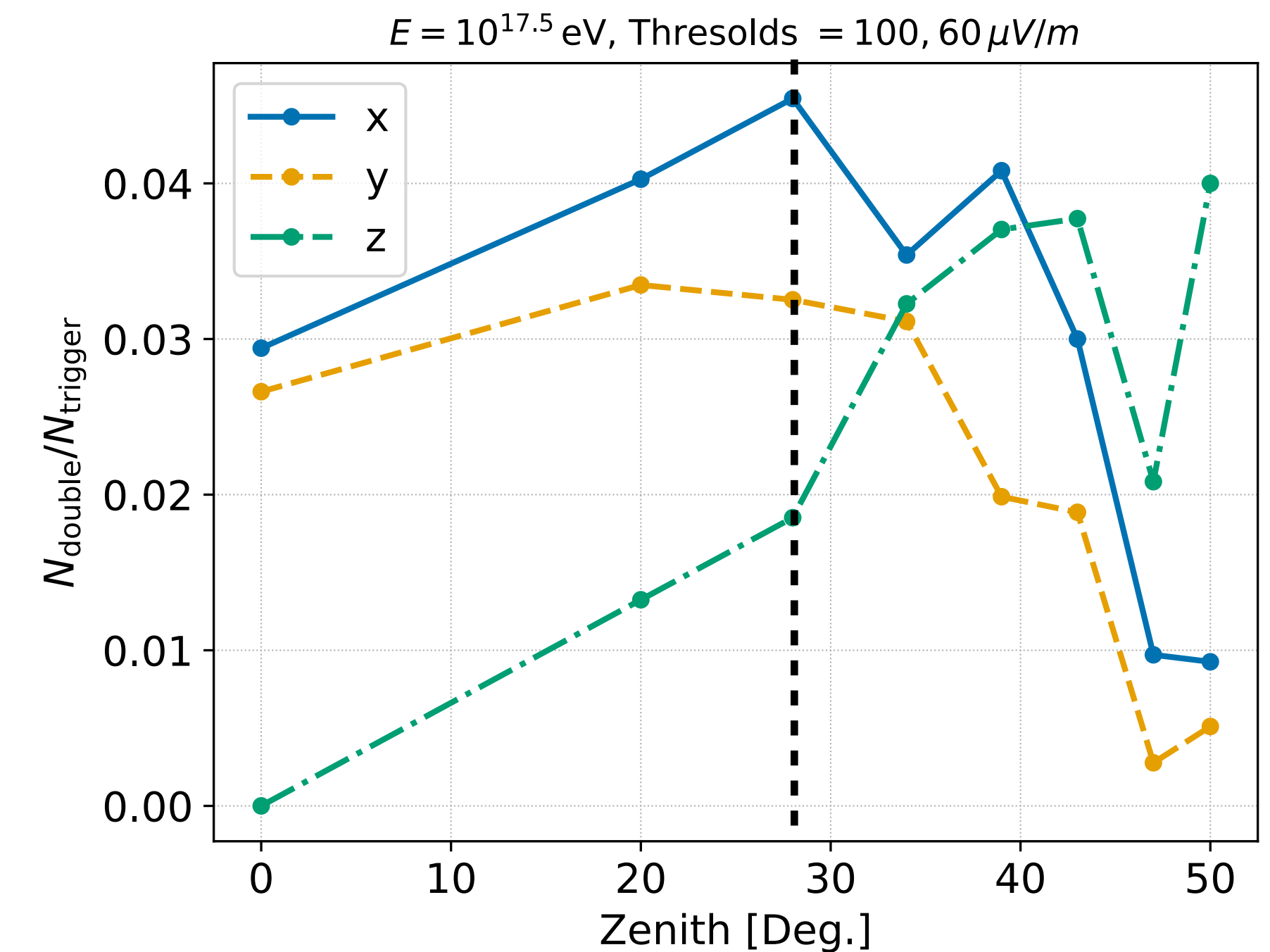
Double pulse fraction:

- Trigger if $E_{\text{peak}} > 100 \mu\text{V/m}$
- Vertical showers: increasing with increasing zenith angle (scaling of the **in-air** emission with θ)
- Inclined showers: decreasing with increasing zenith angle (scaling of the **in-ice** emission with θ)

All-zeniths double pulses map



Fraction of double pulses per channel



An aerial photograph of a vast, flat, snow-covered landscape under a clear blue sky. In the foreground, there are several small, rectangular buildings or structures, some with yellow roofs, and a larger, more complex structure with a blue roof. The horizon is curved, suggesting a high-altitude or polar environment. A semi-transparent blue box with rounded corners is centered in the image, containing the text "Radio signal polarization" in bold black font.

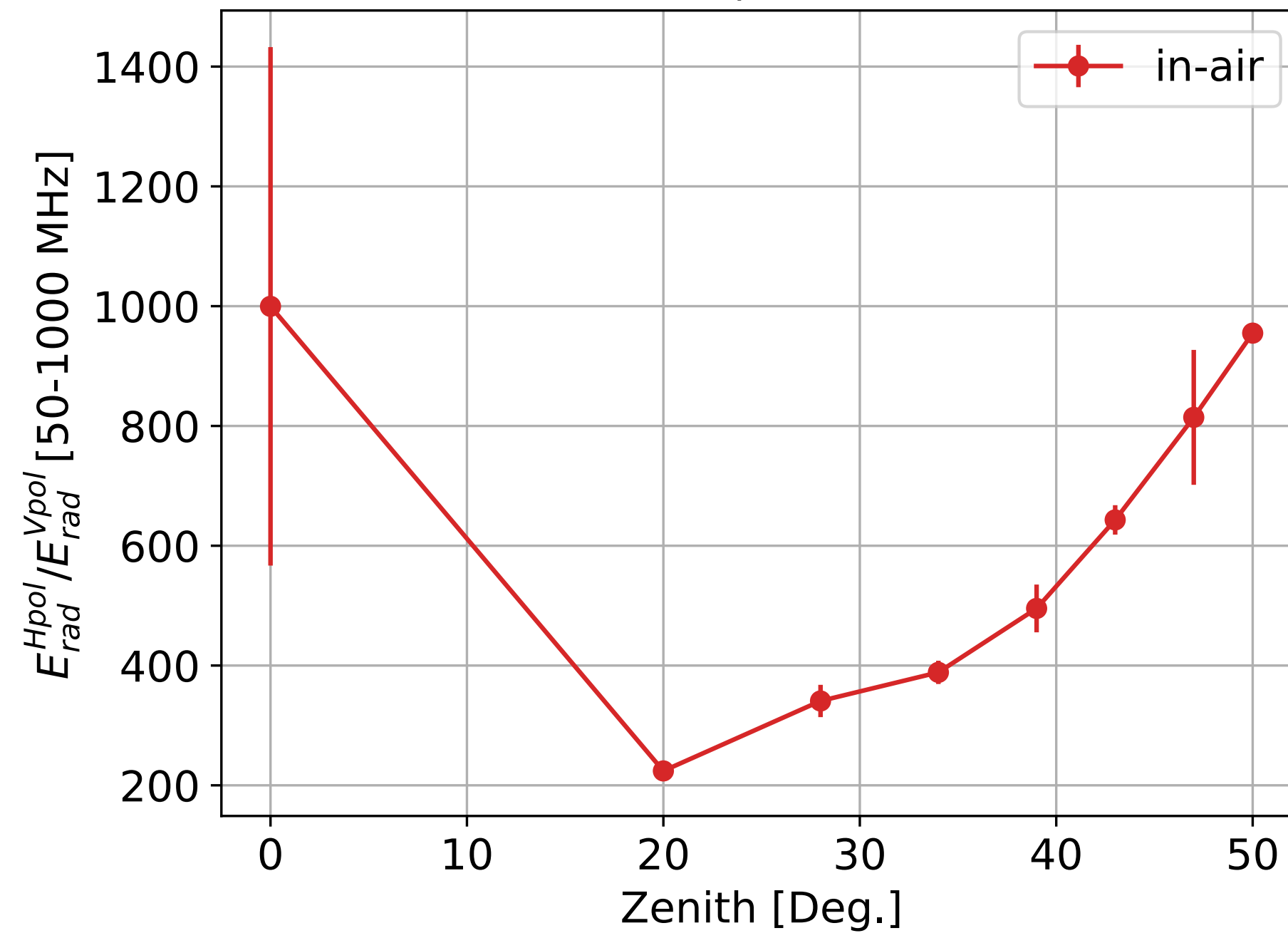
Radio signal polarization

We can evaluate the Hpol/Vpol ratio for the in-air and the in-ice emission

Vertical polarization: $E_{\text{rad}}^{\text{Vpol}} = E_{\text{rad}}^z$ Horizontal polarization: $E_{\text{rad}}^{\text{Hpol}} = \sqrt{(E_{\text{rad}}^x)^2 + (E_{\text{rad}}^y)^2}$

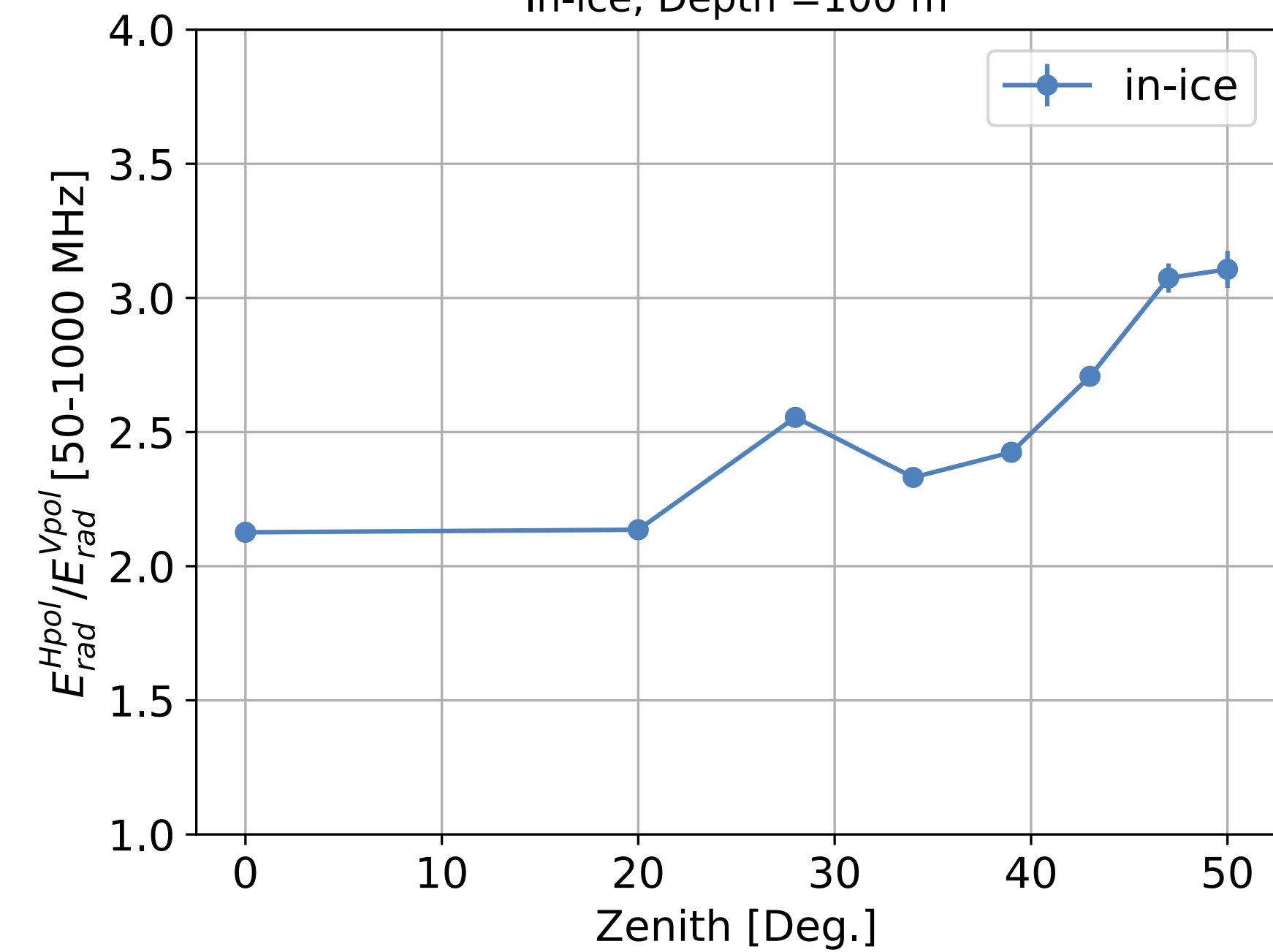
In-air

In-air, Depth = 100 m



In-ice

In-ice, Depth = 100 m

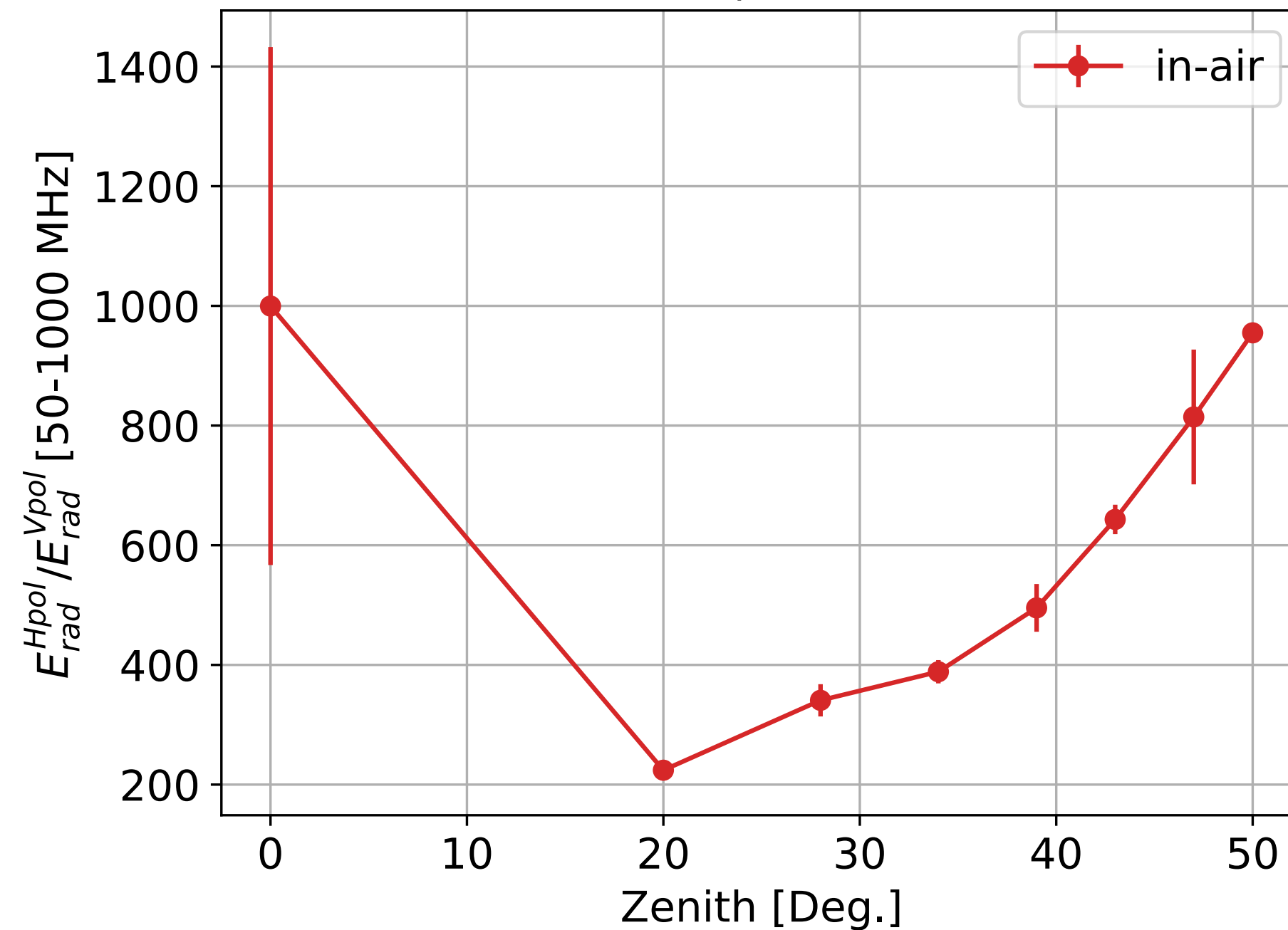


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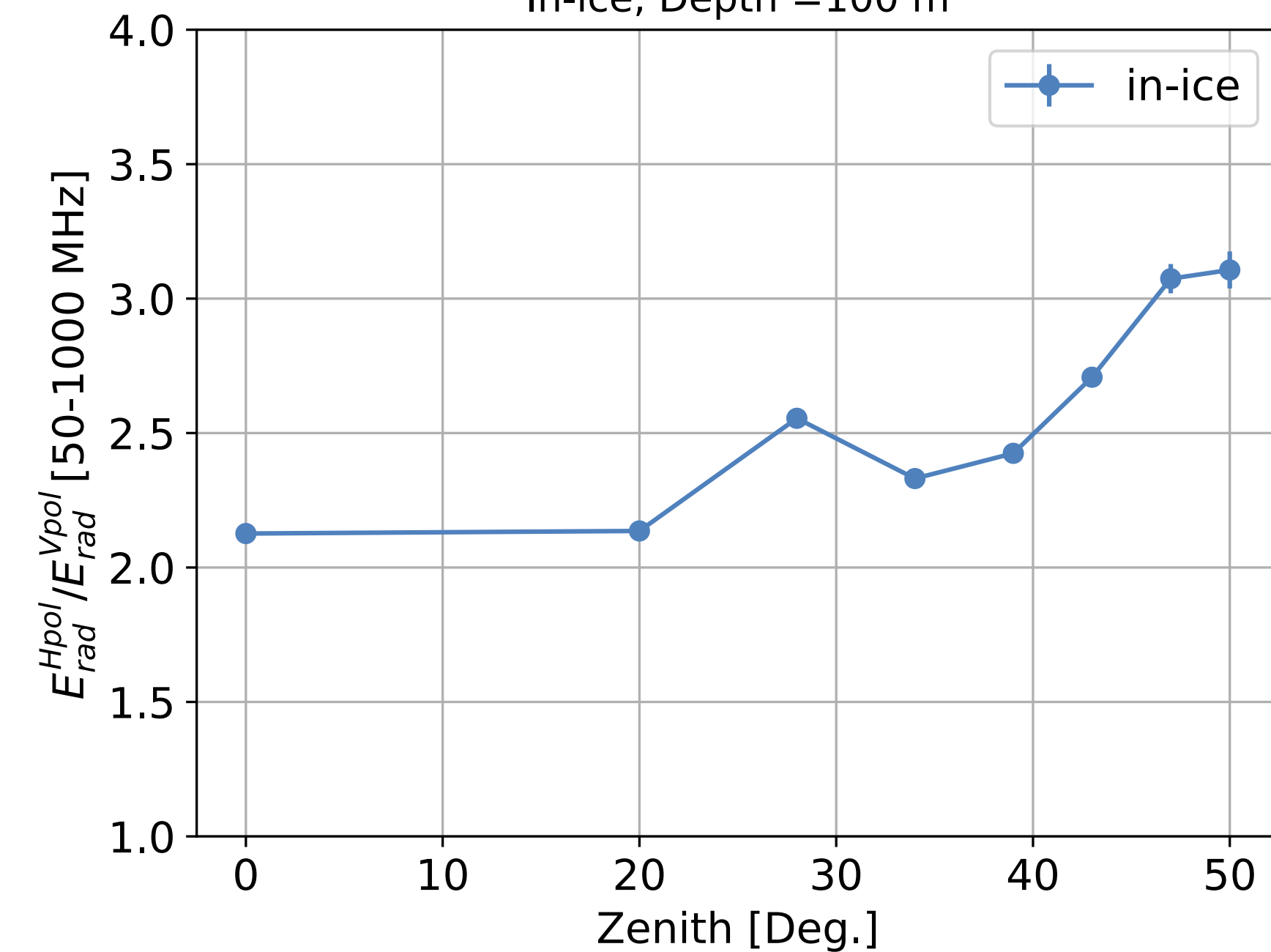
In-air

In-air, Depth = 100 m



In-ice

In-ice, Depth = 100 m

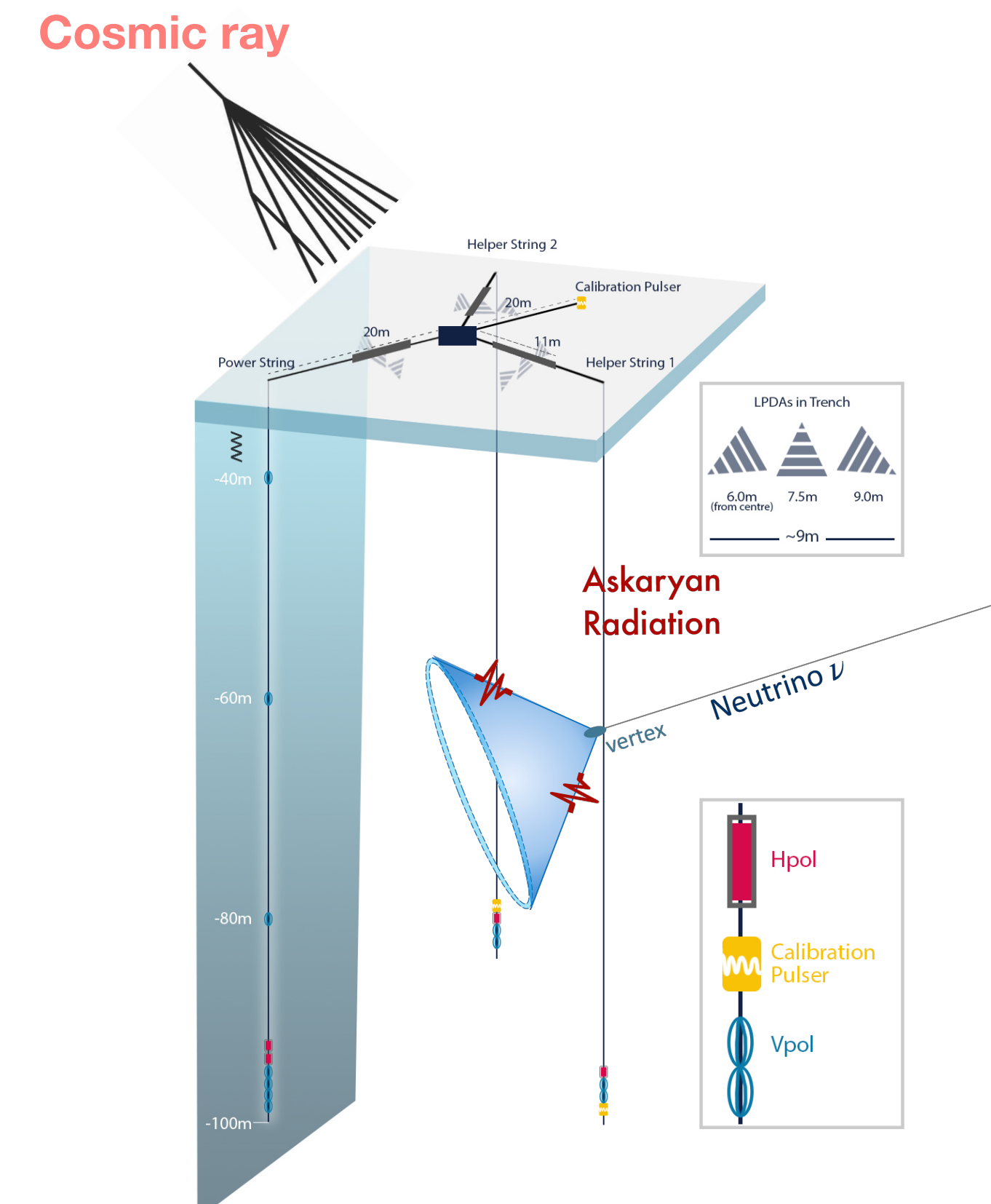


Two orders of magnitude between the in-air and the in-ice component

➔ Efficient observable for cosmic ray/neutrino discrimination

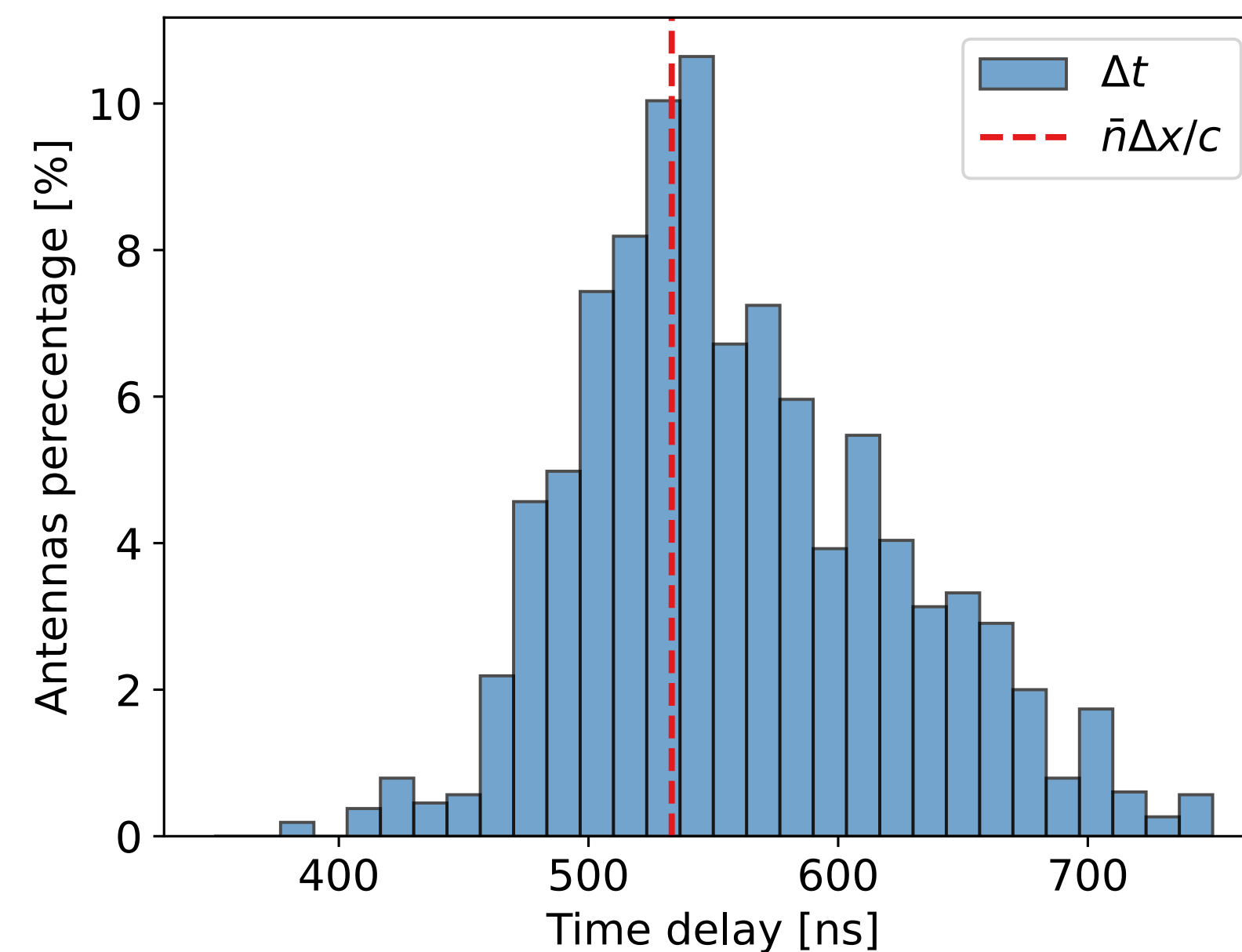
An aerial photograph of a vast, flat, snow-covered landscape under a clear blue sky. The horizon is visible in the upper third of the frame. In the lower right, there is a small cluster of yellow and white structures, possibly a small settlement or a research station. In the lower center, there are some more complex structures, including what looks like a large white tent or a small building with a flat roof. A blue rectangular box with rounded corners is superimposed over the center of the image, containing the text "Surface antennas" in bold black font.

Surface antennas

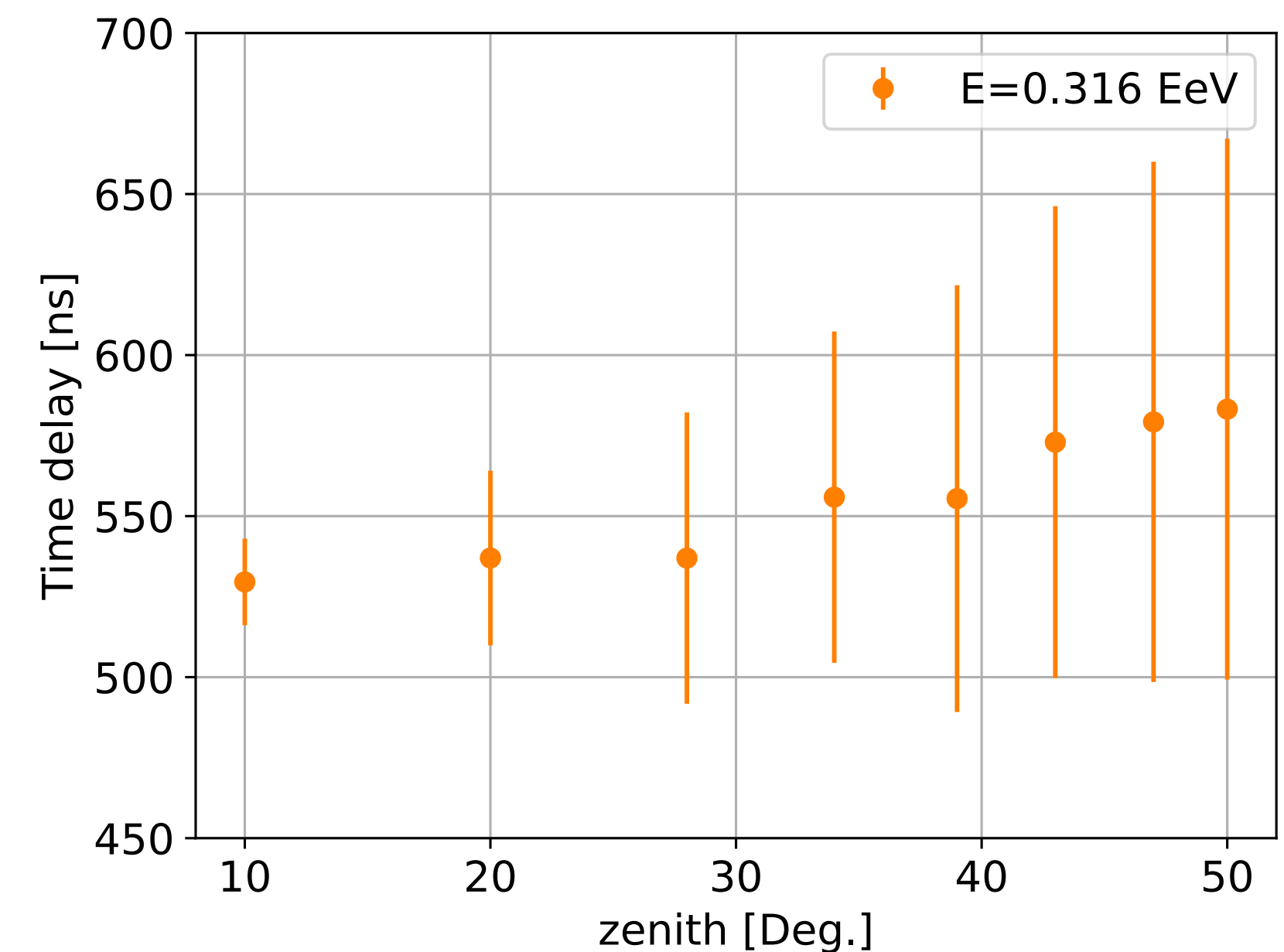


Surface antennas can act as veto for cosmic ray

Time delay distribution between 100m-deep and surface antennas



Mean and RMS of the time delays versus zenith angle

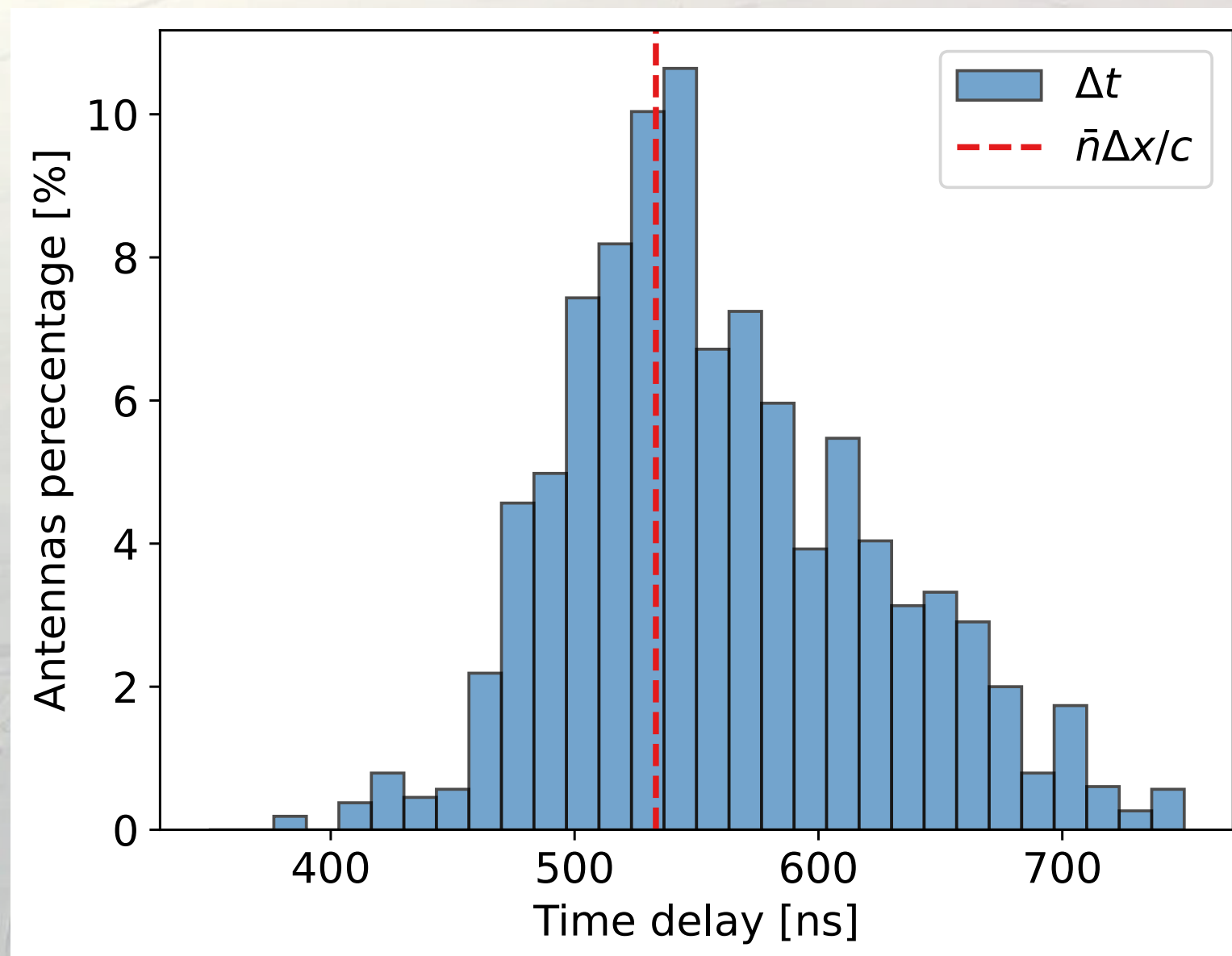


Time delays distributed around $500 \text{ ns} \simeq \bar{n}\Delta x/c$

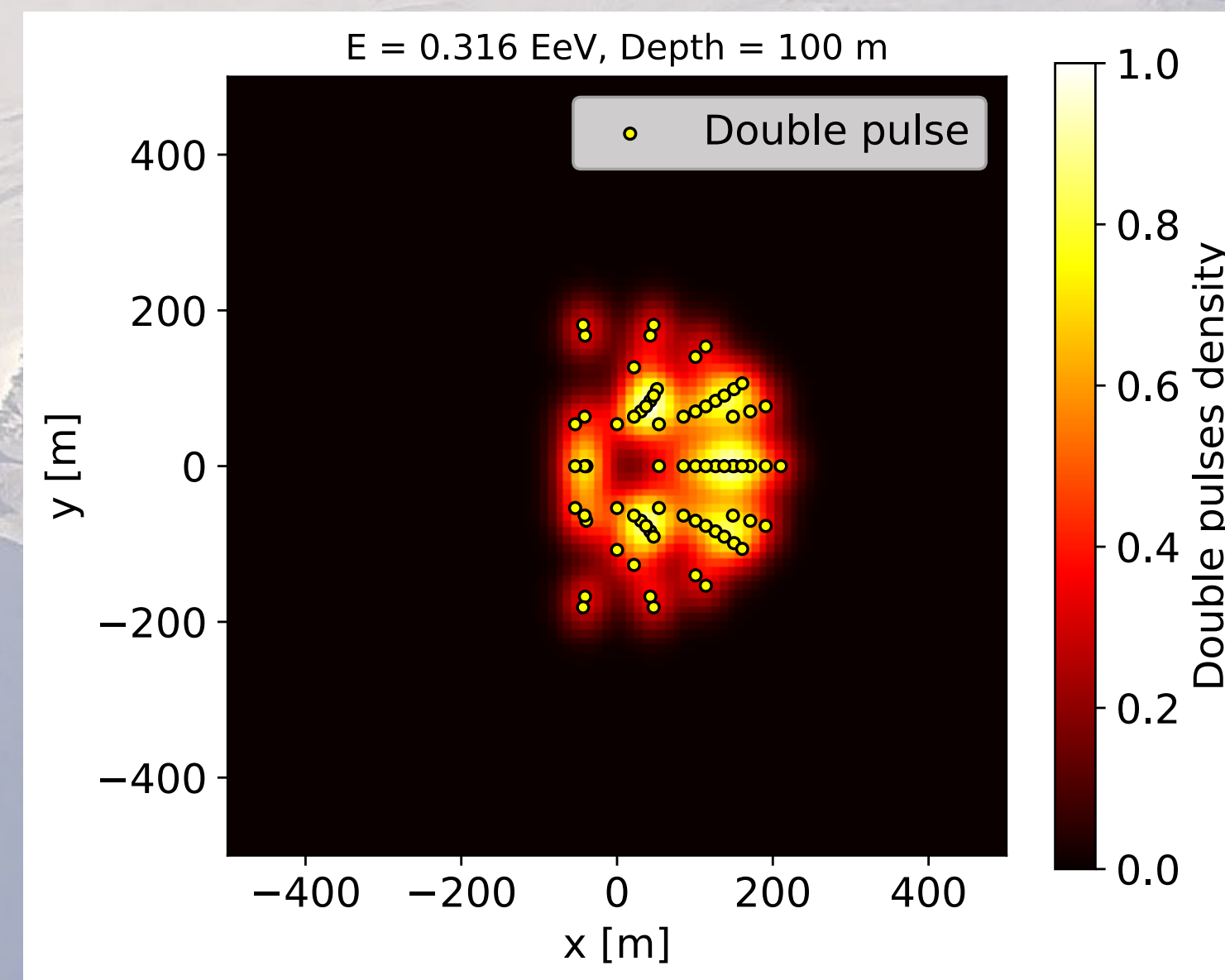
The mean and the the RMS of the time delays increase with the shower zenith angle (footprint asymmetry)

Using FAERIE simulations we characterized radio signatures from cosmic ray showers as seen by deep in-ice observers

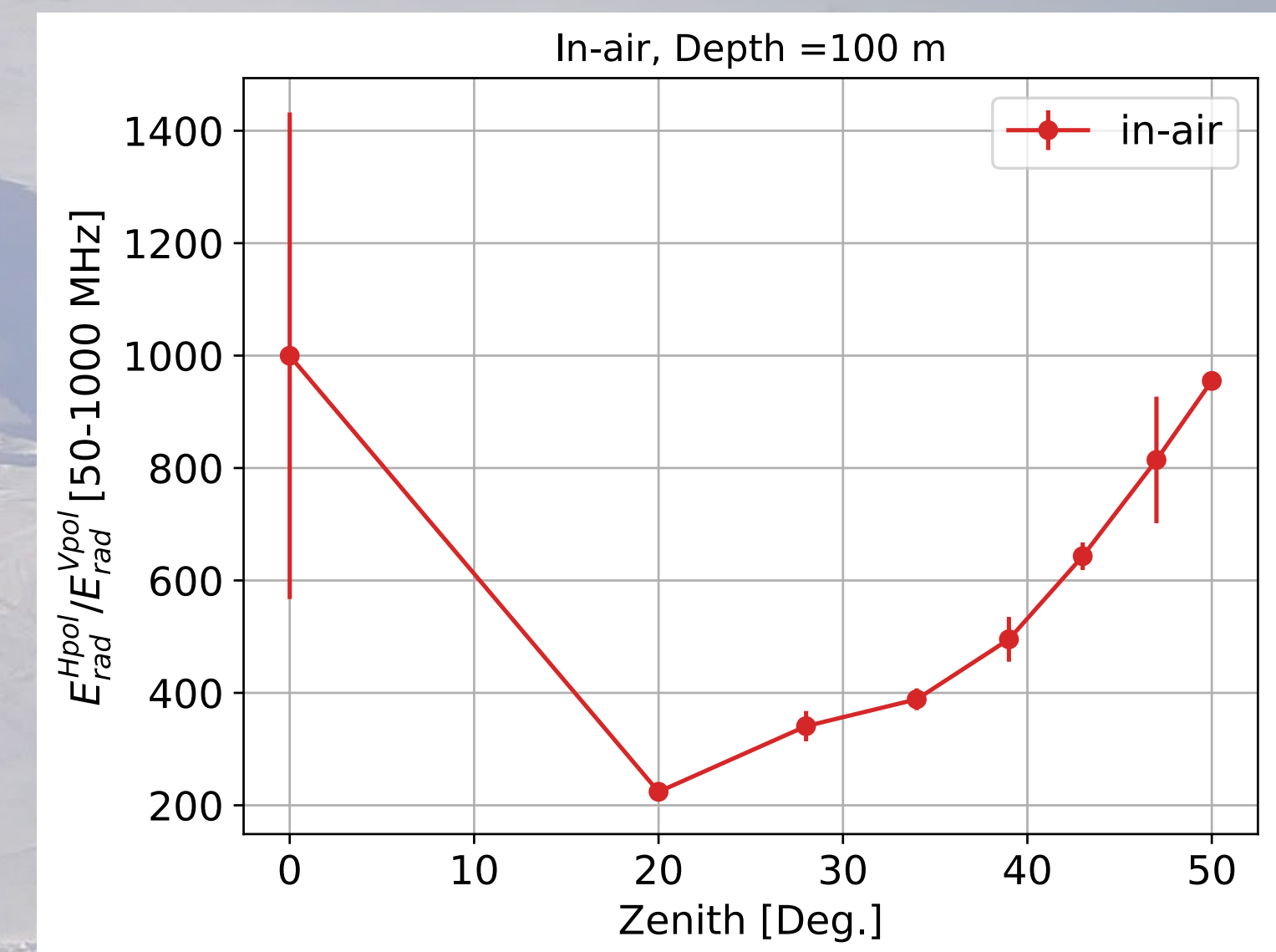
Signal timing



Double pulses



Polarization



These specific features of the radio specific will help identifying the first cosmic ray events

- ➔ Validate detection principle of in-ice experiments and FAERIE simulations
- ➔ Support the calibration of the detectors
- ➔ Provide valuable insights for cosmic ray/neutrino discrimination