

Istituto Nazionale di Fisica Nucleare Laboratori Nazionali del Gran Sasso

# When astroparticles arrive at Earth new ways for investigating Lorentz invariance

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DSFC Dipartimento di Scienze Fisiche e Chimiche



BridgeQG - first annual conference Paris, July 7-10 2025





# Outline

- Introduction
  - State-of-the-art of UHECR measurements
  - The life of an astroparticle and where LIV can manifest itself
- Scenarios describing UHECR data
- LIV in propagation stage -> extragalactic propagation
- LIV in detection stage -> atmosphere and Earth crust
- Discussion of astrophysical and physical competing effects
- Conclusions



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  - The life of an astroparticle and where LIV can manifest itself
- Scenarios describing UHECR data
- LIV in propagation stage -> extragalactic propagation
- LIV in detection stage -> atmosphere and Earth crust
- Discussion of astrophysical and physical competing effects
- Conclusions
- At UHEs we rely on indirect techniques to measure the characteristics of astroparticles. For instance we exploit the atmosphere as a calorimeter;
  - can we exploit the detection stage of astroparticles as a laboratory to test quantum-gravity effects?



3

## Measurements at the UHE





# State-of-the-art of the latest UHECR measurements

- Features in the energy spectrum
- Changes in mass composition
- Extragalactic origin from anisotropy signal



• Coherent results with non-observation of cosmogenic particles



The Pierre Auger Collab. ICRC23



# State-of-the-art of the latest UHECR measurements



• Tests of non-standard physics

- From non-observation of cosmogenic particles (LIV, JCAP 2022; super-heavy dark matter PRD 2023, 2024)
  - From non-observation of upward-going showers, PRL 2025
- Geophysics
- AugerPrime -> multi-hybrid observation of air showers has started! D. Schmidt for the Auger Collab. UHECR24

- with respect to measurements is observed
- good agreement with model predictions

beyond the energy range accessible to terrestrial accelerators



# The extremely energetic cosmic ray observed by **Telescope Array**

- May 27th, 2021, estimated energy: 244 EeV
- Back-tracked directions assuming two models of the Milky Way regular magnetic field, for <u>four primaries</u>
- The closest object to the proton backtracked direction in gamma rays is the active galaxy PKS 1717+177
  - Distance of 600 Mpc -> too large!



### Globus et al, ApJ 2023



- Maximum source distance for this energy: 8-50 Mpc (the range reflects the <u>uncertainty in the energy assignment</u>); see Unger & Farrar ApJL 2023
  - Radio galaxies satisfying the luminosity criteria are not present in the localisation volume; no starburst galaxies within the source direction
  - Transient event in an otherwise undistinguished galaxy?



## From sources to detection - the life of an astroparticle



- Source:
  - Acceleration, interactions, escape
- Extragalactic propagation
  - Interactions, magnetic fields
- Galactic propagation
  - Magnetic fields
- Atmosphere
- Earth





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### Discussed in this talk

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Discussed in this talk



- Modified dispersion relation
- Threshold effects
- Cross section effects
- Typical interaction rate

$$t^{-1} = cn\sigma$$

$$E_i^2 - p_i^2 =$$

 $= m_i^2 + \sum \eta_{i,n} \frac{E_i^{2+n}}{M_{Pl}^n}$  $\eta_{i,n}$  $\delta_{i,n} = \frac{1}{M_{Pl}^n}$ 



- Modified dispersion relation
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- When the target density and cross section do not depend on energy
  - Atmosphere, Earth

$$= m_i^2 + \sum \eta_{i,n} \frac{E_i^{2+n}}{M_{Pl}^n} \qquad \qquad \delta_{i,n} = \frac{\eta_{i,n}}{M_{Pl}^n}$$

$$t^{-1} = \frac{c}{2\Gamma^2} \int_{\varepsilon'_{\text{th}}}^{\infty} \sigma(\varepsilon') \varepsilon' \int_{\varepsilon'/2\Gamma}^{+\infty} \frac{n_{\gamma}(\varepsilon)}{\varepsilon^2} d\varepsilon d\varepsilon'$$

- When the target density and cross section depend on energy
  - Extragalactic space



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- When the target density and cross section do not depend on energy
  - Atmosphere, Earth

If LIV rate is smaller than LI one -> larger flux of particles expected

- Example: modified threshold for photopion production and observation of UHECR flux suppression
  - Aloisio, Biasi, Ghia & Grillo, PRD2000; Scully & Stecker, Astropart.Phys. 2009; DB et al ICRC2015; DB for the Auger Collab. ICRC2017; The Auger Collab. JCAP 2022
- Problem: in terms of interpretation, the suppression of the spectrum at the highest energies cannot be attributed to propagation effects only -> indications of lack of source power (see The Auger Collab. JCAP 2023)
- LIV effects are more difficult to be investigated in extragalactic propagation of UHECRs than what expected

$$E_{i}^{2} - p_{i}^{2} = m_{i}^{2} + \sum \eta_{i,n} \frac{E_{i}^{2+n}}{M_{Pl}^{n}} \qquad \qquad \delta_{i,n} = \frac{\eta_{i,n}}{M_{Pl}^{n}}$$

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12

- Modified dispersion relation
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- When the target density and cross section depend on energy
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# LIV IN THE PROPAGATION STAGE



## Expected CR spectrum and composition

The Auger Collab, JCAP 2022



- For simplicity, we consider only the energy range above the ankle
- LIV modifications in the energy threshold of photopion and photo-disintegration happening during the extragalactic propagation
- <u>Warning</u>: the spectrum is mostly limited by source effects, so effect on propagation are less important than expected



## Expected CR spectrum and composition



### Effect on CR propagation:

 $\bullet$ order to reproduce the observed composition

### The Auger Collab, JCAP 2022



Threshold energy increases -> less interactions -> if LIV, lighter nuclear species are needed at the sources in





## Modified photon propagation







Lang, Martinez-Huerta & de Souza, ApJ 2018

- Modifications of propagation: CRPropa/Eleca code
- More refined study in J.M. Carmona et al. PRD 2024

### Effect on photon propagation:

- LIV can inhibit pair production at the highest energies
- More photons could reach the Earth



## Expected UHE photon flux



• <u>Warning</u>: photon production is connected to UHECR mass composition

### The Auger Collab, JCAP 2022



## Expected UHE photon flux



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# LIV IN THE DETECTION STAGE



# LIV IN THE DETECTION STAGE: FOCUS ON ELECTROMAGNETIC COMPONENT OF THE SHOWER



# Cascade of particles initiated by photons in the atmosphere



### Morais, DB, Salamida, Lobo & Bezerra, UHECR24



# Effect of LIV in extragalactic propagation



• LIV modifications -> increase the threshold for pair production

• allows for more photons to reach the top of the atmosphere

### Morais, DB, Salamida, Lobo & Bezerra, UHECR24

23



# Effect of LIV in extragalactic propagation and in the atmosphere



• LIV modifications -> increase the threshold for pair production

- allows for more photons to reach the top of the atmosphere
- allows for more photons to reach the Earth surface

• First attempt of connecting different stages of the life of an astroparticle for constraining LIV

Morais, DB, Salamida, Lobo & Bezerra, UHECR24





# Cascade of particles initiated by photons in the Earth



- surface

$$P_{\text{surv,Earth}}(\theta) = \exp\left(-\frac{N_A \sigma_{\text{BH}}}{M} \sum_{i=1}^{n(\theta)} l_i(\theta)\rho_i\right)$$

$$P_{\text{int,Earth}} = 1 - \exp\left(-\frac{1 A^{\circ} BH}{M} d\rho\right)$$

$$P_{\text{gen}}(\theta) = P_{\text{int,Earth}} P_{\text{surv,Earth}}(\theta)$$

### DB, Bezerra, Giammarco, Lobo, Morais & Salamida, to be presented at ICRC2025

different target nuclei

• Compute the survival of photons so that they can initiate showers next to the

the Auger Collab. ICRC23)



# Cascade of particles initiated by photons in the Earth





DB, Bezerra, Giammarco, Lobo, Morais & Salamida, to be presented at ICRC2025



# LIV IN THE DETECTION STAGE: FOCUS ON MUONIC COMPONENT OF THE SHOWER



# Cascade of particles initiated by hadrons in the atmosphere



• **Pions** drive the development of <u>electromagnetic and muonic components</u> of EAS • Early stages: pions interact

• Late stages: pions decay



Depending on pion energy (which depends on primary energy per nucleon)



# Cascade of particles initiated by hadrons in the atmosphere



## Modified pion decay

$$E_i^2 - p_i^2 = m_i^2 + \sum \eta_{i,n} \frac{E_i^{2+n}}{M_{Pl}^n}$$

$$\Gamma = \frac{E}{m_{\rm LIV}} \qquad \tau = \Gamma \tau_0$$

- Positive eta: negligible effects
- Negative eta: forbidden neutral pion decay if

$$m_{\pi}^2 + \eta_{\pi}^{(n)} \frac{E_{\pi}^{2+}}{M_P^n}$$

• **Pions** drive the development of <u>electromagnetic and muonic components</u> of EAS • Early stages: pions interact

• Late stages: pions decay

Depending on pion energy (which depends on primary energy per nucleon)



C. Trimarelli for the Auger Collab, ICRC 2021

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- Primary hadron transfer a fraction of energy to the secondary charged particles and the remaining to neutral ones
- Charged pions further interact while neutral ones promptly decay -> hadronic and electromagnetic sub-showers are generated
- Number of charged pions grows until the energy is depleted -> muons
- Fluctuations in the number of muons arise from variations in the fraction of energy from the parent particle
  - At large generation number, the fluctuation decrease because the fraction is averaged over many interactions -> <u>the fluctuations from the first interaction dominate</u>







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- With LIV,
  - hadronic sub-showers are created instead of electromagnetic ones;
  - the fraction of energy transferred to muons is maximal;

### The Auger Collab, in preparation

$$N_{\mu} = \frac{E_0}{\xi_c} \prod_{i=1}^c f_i$$

$$\left(\frac{\sigma(N_{\mu})}{\langle N_{\mu}\rangle}\right)^{2} = \sum_{i=1}^{c} \left(\frac{\sigma(f_{i})}{\langle f_{i}\rangle}\right)^{2}$$





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- With LIV,
  - hadronic sub-showers are created instead of electromagnetic ones;
  - the fraction of energy transferred to muons is maximal;
  - fluctuations are minimal, due to a limited stochastic leakage in the first interaction

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## Constraints

### • <u>Warning</u>: muon fluctuations are connected to UHECR mass composition

$$\langle N_{\mu} \rangle_{\text{mix}}(\alpha;\eta) = (1-\alpha) \langle N_{\mu} \rangle_{p} + \alpha \langle N_{\mu} \rangle_{Fe}$$
  
$$\sigma_{\text{mix}}^{2}(N_{\mu})(\alpha;\eta) = (1-\alpha) \sigma^{2}(N_{\mu})_{p} + \alpha \sigma^{2}(N_{\mu})_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N_{\mu} \rangle_{p} - \langle N_{\mu} \rangle_{Fe} + \alpha (1-\alpha)(\langle N$$

$$\frac{\sigma_{\mu}}{\langle N_{\mu} \rangle}(\alpha;\eta) = \frac{\sqrt{\sigma_{\min}^2(N_{\mu})(\alpha;\eta)}}{\langle N_{\mu} \rangle_{\min}(\alpha;\eta)}$$

The Auger Collab, in preparation



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• The most conservative LIV model corresponds to the alpha(E) which

<b>C.L.</b>	90.5%	95.5%	99.9%
$\log_{10}(-\eta)$	$-7.31\substack{+0.11\-0.17}$	$-7.14^{+0.11}_{-0.17}$	$-6.67\substack{+0.11 \\ -0.17}$

SUMMARY



- LIV can be tested with UHECRs
- Focus on the detection stage
  - The case of photons: it is possible to test the same r different stages of the photon life
    - The LIV effect is responsible for
      - the increase of the photon flux in the extrag and
      - the decrease of the photon flux reaching Ea
        - What about showers initiated in the Ear

modifications	ofL	lin
nouncations		

galactic propagation,	Overall effect: smaller LIV parameter
	space is constrained, but it is more
	realistic than considering just one stage!
arth	Could the nature of astroparticles be
th crust?	misintepreted because of LIV?



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New observable to constrain LIV!



- LIV can be tested with UHECRs  $\bullet$
- Focus on the detection stage  $\bullet$ 
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      - the decrease of the photon flux reaching Ea  $\bullet$ 
        - What about showers initiated in the Ear  $\bullet$
  - The case of muons: lacksquare
    - The LIV effect is responsible for the decrease of fluctuations in the  $\bullet$ number of muons
  - Could individual events be used to test non-standard physics (and not only data samples)?  $\bullet$

We aim to improve investigating the detection stage of astroparticles in order to constrain (discover?) LIV

galactic propagation,	Overall effect: smaller LIV parameter space is constrained, but it is more realistic than considering just one stage!
arth	Could the nature of astroparticles be
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New observable to constrain LIV!



- Competing effects (from astrophysics and physics uncertainties) must be taken into account
  - $\bullet$ instance Reyes, DB, Carmona & Cortes ICRC23 about cosmogenic neutrinos)
    - Improvements expected with AugerPrime
- Other ideas for constraining LIV with UHECRs (not only with diffuse flux information):

  - Search for multiplets
- Any hope to account for the different stages of the UHECR life for constraining LIV?



The indetermination on the mass composition of UHECRs is the main responsible for the lack of precision in several non-standard physics analyses (not only for UHECR analyses -> multimessenger analyses can be also affected, see for

3D correlation analyses with catalogs -> the horizon of UHECRs can account for LIV effects in the propagation





# **BACKUP SLIDES**



# The Pierre Auger Observatory at a glance

Surface detector (SD)

- 1600 stations, 1.5 km grid, 3000 km<sup>2</sup>, E > 10<sup>18.5</sup> eV
- 61 stations, 750 m grid, 23.5 km<sup>2</sup>, E > 10<sup>17.5</sup> eV
- 19 stations, 433 m grid, E > 6x10<sup>16</sup> eV

Fluorescence detector (FD)

- 24 telescopes in 4 sites, FoV: 0-30°,  $E > 10^{18} \text{ eV}$
- HEAT (3 telescopes), FoV: 30 60°, E > 10<sup>17</sup> eV

Auger Engineering Radio Array (AERA)

• 153 antennas, 17 km<sup>2</sup> array, E> 4x10<sup>18</sup> eV

Underground muon detector

• 19(61) stations, 433(750)m array 10<sup>16.5</sup> < E < 10<sup>19</sup> eV







17 countries, more than 400 members

# AugerPrime

- The SSDs complement the WCDs to provide enhanced electromagnetic-muonic shower component separation up to a zenith angle 60°
- The RDs extend this sensitivity to inclined showers above 60° by measuring the electromagnetic component, while the WCDs measure the muons, which alone survive to the ground at these high inclinations
- An additional small PMT has also been installed in each station to enhance the WCD dynamic range.
- SD electronics have been upgraded to run all these detectors and provide improved timing resolution.

Towards multi-hybrid observations of extensive air showers with AugerPrime!

## New electronics



## Radio upgrade



## Scintillators





# Underground muon detectors



High-dynamic range PMTs



## State-of-the-art: astrophysical scenarios



Power law-spectra at emission from (identical) sources, up to a maximum energy  $p + \gamma \rightarrow \Delta^+$ 



### Basic scenario:

- identical sources
- power-law spectra at escape, with rigidity dependence

Extragalactic propagation taken into account, as from SimProp, Aloisio, DB, di Matteo, Grillo, Petrera & Salamida, JCAP 2017; CRPropa, R. Alves Batista et al, JCAP 2022

Fit of spectrum and mass composition; arrival directions can be also included



# State-of-the-art: astrophysical scenarios



- Independently of the scenario, decreasing fluctuations of Xmax can be found corresponding to limited mixing of spectra of different nuclear species at HE, meaning
  - HE: hard spectra + low rigidity cutoff
  - LE: soft spectra + less constrainable rigidity

In terms of interpretation the suppression,

 $\log_{10}(E/eV)$ 

Not pure

**GZK**!

- Propagation effect
- Indication of source power

45

## Mass composition observables from air-showers

Heitler (and generalised-Heitler) model for EAS

$$N(X) = 2^{X/\lambda} \qquad E(X) = \frac{E_0}{N(X)}$$
$$N(X_{\max}) = \frac{E_0}{E_c} \qquad X_{\max} \propto \ln(E_0/E_c)$$
$$^A X, E_0 \leftrightarrow A \times n, E_0/A$$
$$X_{\max}^A \propto X_{\max}(E_0/A)$$

(a)

- Composition information (mainly) from the longitudinal development of the shower
- The number of muons (and its fluctuations) is also sensitive to the mass of the primary (from the measurements at ground)

$$N_{\mu}^{A}(X_{\max}) = A\left(\frac{E_{0}/A}{E_{dec}}\right)^{\alpha} = A^{1-\alpha}N_{\mu}^{p}(X_{\max})$$



# MODIFIED CR PROPAGATION The Pierre Auger Collaboration, JCAP 2022

- Similar approach to the one used in Scully & Stecker 2009
  - In order to modify the effect of photo-pion production above the GZK energy, we must have delta\_pion > delta\_proton (Coleman&Glashow 1999)
  - For most of the allowed parameter space near threshold, delta\_pion can be as much as one order of magnitude greater than delta\_proton
  - delta\_pion is considered (at or near threshold)
- Effect of recovering of the spectrum is expected
  - But not observed!

• Modifications of propagation: SimProp code

10<sup>5</sup> 10<sup>4</sup> [Mpc]<sup>1</sup> 10<sup>2</sup> 10<sup>2</sup>  $\delta_{had,0} = 0$  $o_{had,0} = 10^{-24}$ 10 20 21 19 log<sub>10</sub> (E/eV)



# Modified CR Propagation The Pierre Auger Collaboration, JCAP 2022



- Interactions of nuclei -> modified photo-disintegration
- Consider a nucleus as composed by A nucleons
- LI case: the photo-dis threshold depends only on the nuclear species
- LIV case: a dependence of the photo-dis threshold on the energy appears





### Effect on CR propagation:

lacksquareorder to reproduce the observed composition

Threshold energy increases -> less interactions -> if LIV, lighter nuclear species are needed at the sources in



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### EXPECTED CR SPECTRUM AND COMPOSITION The Pierre Auger Collaboration, JCAP 2022 450 --- SPGE 19.5 ---- SPDE - SPGE - SPDE ---- STGE 400 --- STGE Total deviance --- SPGS 19 350 ц 0 300 18.5 - SPGE --- SPDE - STGE 250 -2 -22 -20 -00 -22 -20 -18 -18 -24 -∞ -24 20 $\log_{10} (\delta_{had,0})$ $\log_{10}(\delta_{had,0})$

- Interpretation in terms of spectral parameters at the source is affected  $\bullet$ 
  - Larger LIV effects -> less interactions -> softer spectra



50



# PARTICLE DETECTOR ARRAYS DETERMINATION OF CR COMPOSITION

- Curved profile of the shower
  - Particles at distance r from the core are delayed with respect to the shower axis
    - Delay increases with r and decreases with h

$$t = \frac{1}{c} \left( \sqrt{h^2 + r^2} - h \right) \propto \frac{r^2}{h}, \text{ if } r \ll h$$

• Showers initiated from heavy (light) particles with same energy will be less (more) delayed



# PARTICLE DETECTOR ARRAYS DETERMINATION OF CR COMPOSITION

- Muons dominate the early part of the signal in the particle detectors, and the signal is shorter
- At the increase of the zenith angle, an early-late time asymmetry might appear
  - At very large zenith angles, the EM component is more absorbed
  - Muon component does not have asymmetry







# WHAT DO WE LEARN FROM THE MASS COMPOSITION OBSERVABLES?

Focusing on the second momentum: it contains

- the shower-to-shower fluctuations (first term) AND
- the dispersion of the masses as they hit the Earth atmosphere:
  - spread of nuclear masses at the sources
  - modifications that occur during their propagation to the Earth
- Example for two components: H and Fe masses, fraction of H decreasing linearly with energy



### The Pierre Auger Collab. JCAP 2013

 $\langle X_{max} \rangle = \langle X_{max} \rangle_p + f \langle InA \rangle$ 

 $\sigma^2(X_{max}) = \langle \sigma^2_{sh} \rangle + f^2 \sigma^2(InA)$ 

• Dispersion of the masses in the case of two components:

$$\sigma^2(X_{\rm max}) =$$

$$f\sigma_1^2 + (1-f)\sigma_2^2 + f(1-f)(\Delta(\langle X_n))$$



- Simulations of the longitudinal profile of the shower using the CONEX software for the LI and LIV cases. For the LIV scenario, the software has been modified by changing the lifetime of any unstable particle. The  $\eta(n)$  values considered in this study span the range from -10<sup>-1</sup> to -10<sup>-6</sup> in logarithmic steps, with order of violation n = 1.
- For each value of η, 15000 primary cosmic-ray particles have been produced in the energy range between 1014 eV and 1021 eV, using EPOS-LHC and QGSJetII-04hadronic interaction models and for different primary particle types i.e. hydrogen, helium, nitrogen, silicon and iron nuclei





# Modification of mass observables (electromagnetic component of the shower)



- If neutral pion does not decay, it can interact
  - Calorimetric energy is smaller than in the LI case
  - Predictions for Xmax decrease with energy with respect to the LI case





Measurements at UHE happen through the observation of extensive air showers (also for neutrinos and photons!)



How to search for neutrinos:

- Inclined showers with electromagnetic component (downward going DG)
- Upgoing showers from Earthskimming tau neutrinos



- For the ES channel, AoP averaged over the triggered stations in SD events is used
- For the DG channel, individual AoP are considered and subsequently combined in a Fisher analysis
- No candidate events identified





The Pierre Auger Collab. JCAP 2019

- Select showers that arrive at the SD array in the inclined directions and identify those that exhibit a broad time structure in the signals induced in the SD stations
- <u>Information from geometry</u>: in inclined events the pattern of the triggered SD stations exhibits an elliptical shape on the ground with the major axis of the ellipse along the azimuthal arrival direction
- <u>Information from timing</u>: several observables that contain information on the spread in time in the SD stations can be extracted from the time traces -> area over peak (AoP) can discriminate broad from narrow shower fronts



Earth-skimming

- The average value of AoP over all the triggered stations in the event is used as the only observable to discriminate between hadronic showers and ES neutrinos.
- The value of the cut on AoP is fixed using the tail of the distribution of AoP in real data, which is consistent with an exponential function



- of the zenith angle



Downward (low zenith angle),  $60 < \theta < 75$ 

Downward (high zenith angle)  $75 < \theta < 90$ 

• Multivariate analysis to combine several observables that carry information on the time spread of the signals in the SD stations; observables are constructed from the AoP values of individual stations

• DWL: Selection more challenging due to the contamination from hadronic showers; the primary observables for inclined selection in the DGH case are the ratio L/W of the signal pattern of the shower at ground as well as the apparent average velocity of the signal, in addition to a simple estimate • DWH: The discriminants are constructed with ten variables that exploit the fact that, due to the large inclination of the shower, the electromagnetic component is less attenuated in the stations that are first hit by a deep inclined shower than in those that are hit last





### The Pierre Auger Collab. ICRC23

### The Pierre Auger Collab. JCAP 2019



# The dipole

- almost constant.
- azimuth angles in the local coordinate system of the array

- Standard approach for studying large scale anisotropy in arrival directions: harmonic analysis in right ascension
- To recover the three-dimensional dipole, we combine the first-harmonic analysis in right ascension with a similar one in the azimuthal angle φ

• Searches for large-scale anisotropies are conventionally made by looking for nonuniformities in the distribution of events in right ascension because, for arrays of detectors that operate close to 100% efficiency, the total exposure as a function of this angle is

• The nonuniformity of the detected cosmic-ray flux in declination imprints a characteristic nonuniformity in the distribution of

$$a_{\alpha} = \frac{2}{\mathcal{N}} \sum_{i=1}^{N} w_i \cos \alpha_i, \qquad b_{\alpha} = \frac{2}{\mathcal{N}} \sum_{i=1}^{N} w_i \sin \alpha_i.$$

first-harmonic Fourier components

$$r_{\alpha} = \sqrt{a_{\alpha}^2 + b_{\alpha}^2}, \qquad \tan \varphi_{\alpha} = \frac{b_{\alpha}}{a_{\alpha}}.$$

Amplitude and phase



# The dipole

arxiv:2408.05292, submitted to ApJ



Astrophys.J. 868 (2018)



Astrophys.J. 868 (2018)

1.0

Fraction of original magnitu - 0.5

-> the change in the direction of an originally dipolar distribution after traversing a particular Galactic magnetic field. The arrows start in a grid of initial directions for the dipole outside the Galaxy and indicate the dipole directions that would be reconstructed at the Earth for different CR rigidities.

The dipole amplitudes for  $E \ge 8$  EeV turn out to be of the order of the one observed for a range of magnetic-field parameters and their model is consistent with an increase of the dipole amplitude with energy

63



# The dipole

- Focusing on the dipole: the dipole amplitude increases with energy, possibly due
  - to the larger relative contribution from the nearby sources for increasing energies, whose distribution is more inhomogeneous, and
  - to the growth of mean primary mass of the particles



Comparison to expectations for astrophysical scenarios obtained from spectrum + composition interpretation -> if UHECR have a non-protonic mass composition, the dipole is compatible with the matter distribution of the large scale structure



Defining light and heavy populations, through a mass estimator with <u>universality</u> -> potential to observe a separation in total amplitude in mass-selected subsets of data (probed on simulations)



# The dipole at lower energies



ApJ 2024



Anisotropy dominated by Galactic contribution below a few EeV?

