



Growth-Rate measurement using peculiar velocities from LSST type la Supenovae

Damiano Rosselli

Supervisors: Dominique Fouchez (CPPM), Stephane Arnouts (LAM)





ACDM Model



+ **GR**

This model fit really well the data, but:

Why the Universe is accelerating? What is the dark energy? Is it really a constant?



- The standard cosmological model (ΛCDM)
- Λ : dark energy (70%), **CDM**: cold dark matter (25%)

- GR is the correct theory for gravity on large scale?

The growth rate of strucutres



DESI: DESI Collaboration 2016a Euclid: Amendola et al. 2018

Hubble diagram & velocities

Knowing redshift and distance of an object we can estimate its peculiar velocity (PV). For SNe Ia we use the Hubble diagram residuals

PVs have two effects on the SNe la Hubble diagram :

• Change in redshift due to Doppler effect.

$$1 + z_{\rm obs} = (1 + z_{\rm cos})(1 + z_p)$$

 Change in apparent distance modulus 30due to relativistic beaming (second order).





Type la supernovae

Type Ia Supernovae (SNe Ia) Explosion of a with dwarf that surpass the Chandrasekhar mass limit

Type la supernovae

- Type la supernovae (SNe la) are standardizable candles
- 3 parameters of interest to recover the distances:
- **mB** : apperent magnitude in B-band
- **c** : color
- **x1** : stretch





redder SN are less luminous

LSST survey



The Rubin Observatory telescope with an 8.4-meter primary mirror.

Observation of the entire southern available sky every few nights.

Observations in **6 passbands u,g,r,i,y,z.** Images will be recorded by a 3.2gigapixel charge coupled device imaging (CCD) camera, the largest digital camera ever constructed.

Legacy Survey of Space and Time (LSST)

Many scientific goals: cosmology (weak and strong lensing and SNe Ia), galaxy evolution, AGN, solar system objects, Milky Way **10 years duration starting at end of 2025**



Aperture size	8.4 m (6.4 m effective)
Field of view	9.6 deg ²
Camera	3.2 gigapixels
WFD Survey area	~18,000 deg ²
Expected WFD single-visit depths	u = 23.9, g = 25.0, r = 24.7, i = 24.0, z = 23.3 y = 22.1 (AB magnitudes)
Approximate WFD final depths	u = 26.1, g = 27.4, r = 27.5, i = 26.8, z = 26.1 y = 24.9 (AB magnitudes)
DDF Survey area	$\geq 4 \times 9.6 \text{ deg}^2$
Approximate DDF final depths	r≈28–28.5 AB magnitudes
Nominal operational lifetime	10 years

Simulation Pipeline



snsim: <u>https://github.com/bastiencarreres/snsim</u>

Sampled SNe light curves

Detection & Spec-z selections



Simulation Output





lssti

lsstr

Issty

lsstz lsstg

lsstu

Sim



Selections



Light curves selection procedure is composed of 4 steps:

Efficiency of the LSST discovery pipeline to detect a point (flux) in the light curves as a function of the redshift (top) and signal-to-noise (bottom)

* u, g, r, i, z, y = 14.7, 15.7, 15.8, 15.8, 15.3, 13.9 LSST saturation limit at 0.7" seeing form https://www.lsst.org/sites/default/files/docs/sciencebook/SB_3.pdf



 Remove all saturated observations * Detection probability from DIA pipeline

Selections

Probability of different spectroscopic surveys DESI (top) and 4MOST (middle, bottom) to observe the host galaxies of LSST SNe. the different colors show the different type of SNe



Light curves selection procedure is composed of 4 steps:

- Remove all saturated observations • Detection probability from DIA pipeline Host spectroscopic redshift efficency

- Coadd observations by night
- SNR > 4 in at least 3 separate passbands

Classification

SNe usually classfied using spectra (for cosmology we use only SNe Ia)

- LSST too many SNe and few spectroscopic resources available. No spectra for everything
- we rely on machine learning algorithms

Classification

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we apply the same selection cuts

we select P(SNIa)>0.5 At the end 0.02% contamination

- LSST too many SNe and few spectroscopic resources available. No spectra for everything
- we rely on machine learning algorithms
- We use Supernnovae (SNN, Moller et al. 2019) We train SNN using a new LSST simulation on which
- The model return the probability to be SN la

Final Sample

about 33k SNe with z<0.16

SNe redshift distribution (top) and density vs redshift (bottom)

Velocity measurement

$$\mu = m_B - M_0 + \alpha x_1 - \beta c$$

 $\Theta_{HD} = (\alpha, -\beta, -M_0)$

$$\Delta \mu_i(\boldsymbol{\Theta}_{HD}) = \mu_{obs,i}(\boldsymbol{\Theta}_{HD}) - \mu_{\text{model},i}$$

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$$v_i(\boldsymbol{\Theta}_{HD}) = -\frac{\ln(10)c}{5} \left(\frac{(1+z_{obs,i})c}{H(z_{obs,i})r(z_{obs,i})} - 1 \right)^{-1} \Delta \mu_i(\boldsymbol{\Theta}_{HD})$$

$$\sigma_{v,i}(\boldsymbol{\Theta}_{HD}, \sigma_M) = \frac{\ln(10)c}{5} \left(\frac{(1+z_{obs,i})c}{H(z_{obs,i})r(z_{obs,i})} - 1 \right)^{-1} \times \sigma_{\mu,i}^2(\boldsymbol{\Theta}_{HD}, \sigma_M).$$

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Likelihood

 $L(f\sigma_8, \boldsymbol{\Theta}, \boldsymbol{\Theta}_{\text{HD}}) = (2\pi)^{-\frac{n}{2}} |C(f\sigma_8, \boldsymbol{\Theta}, \boldsymbol{\Theta}_{\text{HD}})|^{-\frac{1}{2}} \times \exp\left[-\frac{1}{2} \mathbf{v}^T(\boldsymbol{\Theta}_{\text{HD}})C(f\sigma_8, \boldsymbol{\Theta}, \boldsymbol{\Theta}_{\text{HD}})\mathbf{v}^T(\boldsymbol{\Theta}_{\text{HD}})\right],$

$$C_{ij}(f\sigma_8, \mathbf{\Theta}, \mathbf{\Theta}_{\text{HD}}) = C_{ij}^{vv}(f\sigma_8, \sigma_u) + [\sigma_v^2 + \sigma_{v,i}^2(\mathbf{\Theta}_{\text{HD}}, \sigma_m)]\delta_{i,j}^K,$$

We use PVs as the data vector and we fit for suing Gaussian likelihood and a covariance rescaled for the growth rate value from Uchuu.

12

Likelihood

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$$\begin{split} C_{ij}(f\sigma_8, \mathbf{\Theta}, \mathbf{\Theta}_{\mathrm{HD}}) &= C_{ij}^{vv}(f\sigma_8, \sigma_u) \\ &+ [\sigma_v^2 + \sigma_{v,i}^2(\mathbf{\Theta}_{\mathrm{HD}}, \sigma_m)] \delta_{i,j}^K, \end{split}$$

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credit: Corentin Ravoux

$$C_{ij}^{vv} = \frac{H_0^2}{2\pi} \frac{(f\sigma_8)^2}{(f\sigma_8)_{fid}^2} \int f_{fid}^2 P_{\theta\theta}(k) D_u^2(k) W(k; \mathbf{x}_i, \mathbf{x}_i) dk$$

Koda et al 2014

$$D_u(k) = \frac{\sin(k\sigma_u)}{(k\sigma_u)}.$$

 $\mathbf{x}_j)dk$

Carreres et al. 2023

Results

DESI PV: about 20% up to z = 0.1 (Saulder et al. 2023) ZTF PV: about 19% up to z= 0.06 (Carreres et al 2023)

Conclusions

- First complete simulation of LSST 10yr SNe sample at low redshift
- Contamination seems to not bias when below 2%, but increase the error on final constraints
- LSST combined with DESI & 4MOST will be great to measure the growth rate of structures (attention to the systematics!)
- Future works:
 - improve model covariance (new redshift dependent model coming soon)
 - include classifier probability in the likelihood

