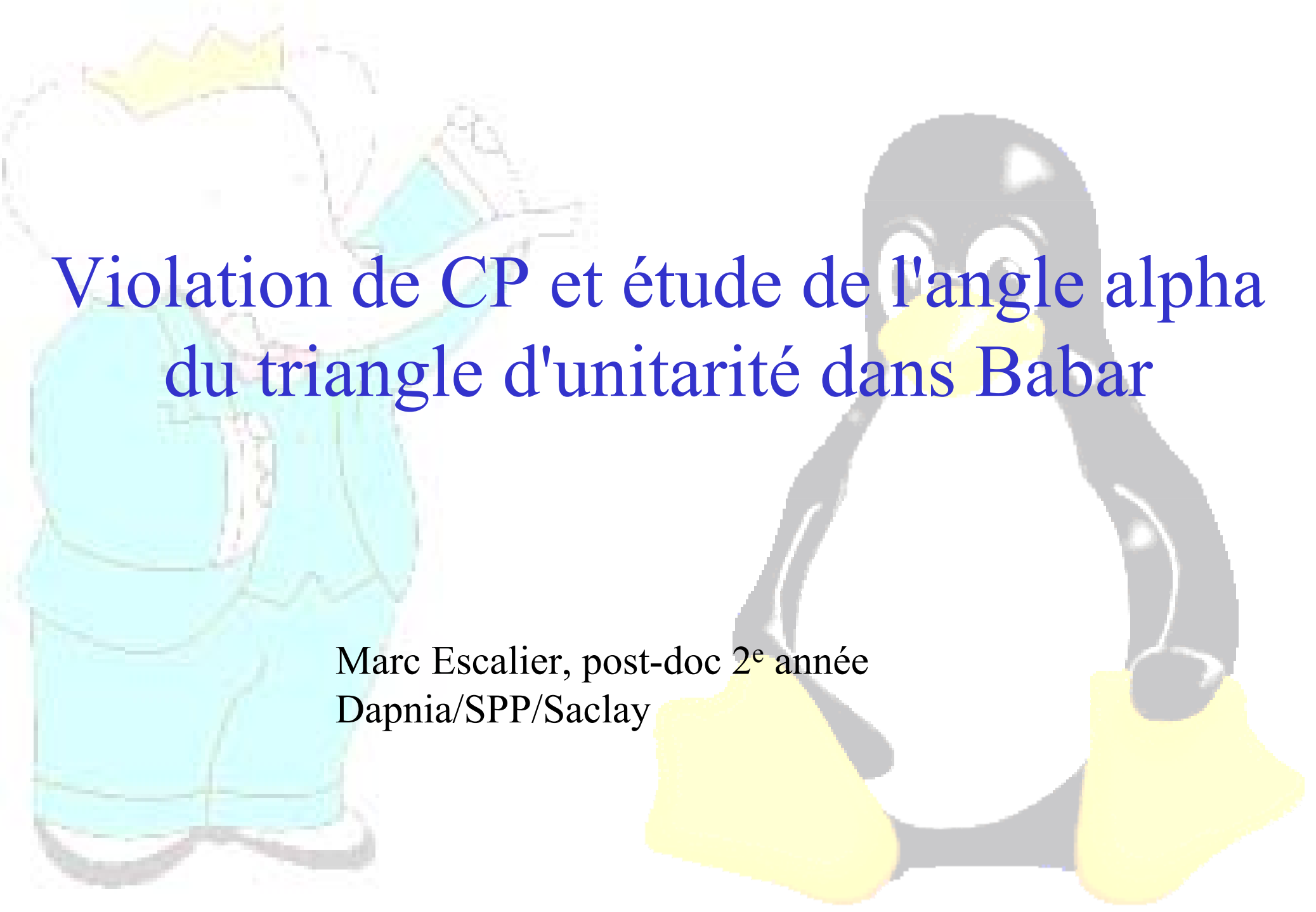




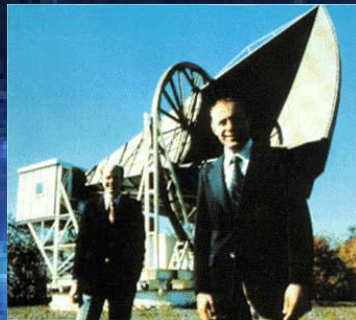
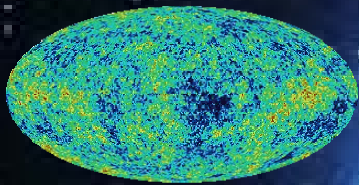
Violation de CP et étude de l'angle alpha du triangle d'unitarité dans Babar

Marc Escalier, post-doc 2^e année
Dapnia/SPP/Saclay

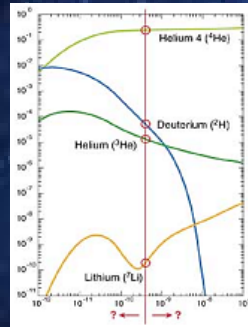
Pourquoi étudier la violation de CP ?

D'où venons-nous ?

Pourquoi existons-nous ?



qté/ 10^6 H



1965, Penzias, Wilson, 3K ρ mat. ord.

Asymétrie matière/antimatière

1967, Sakharov:
violation CP

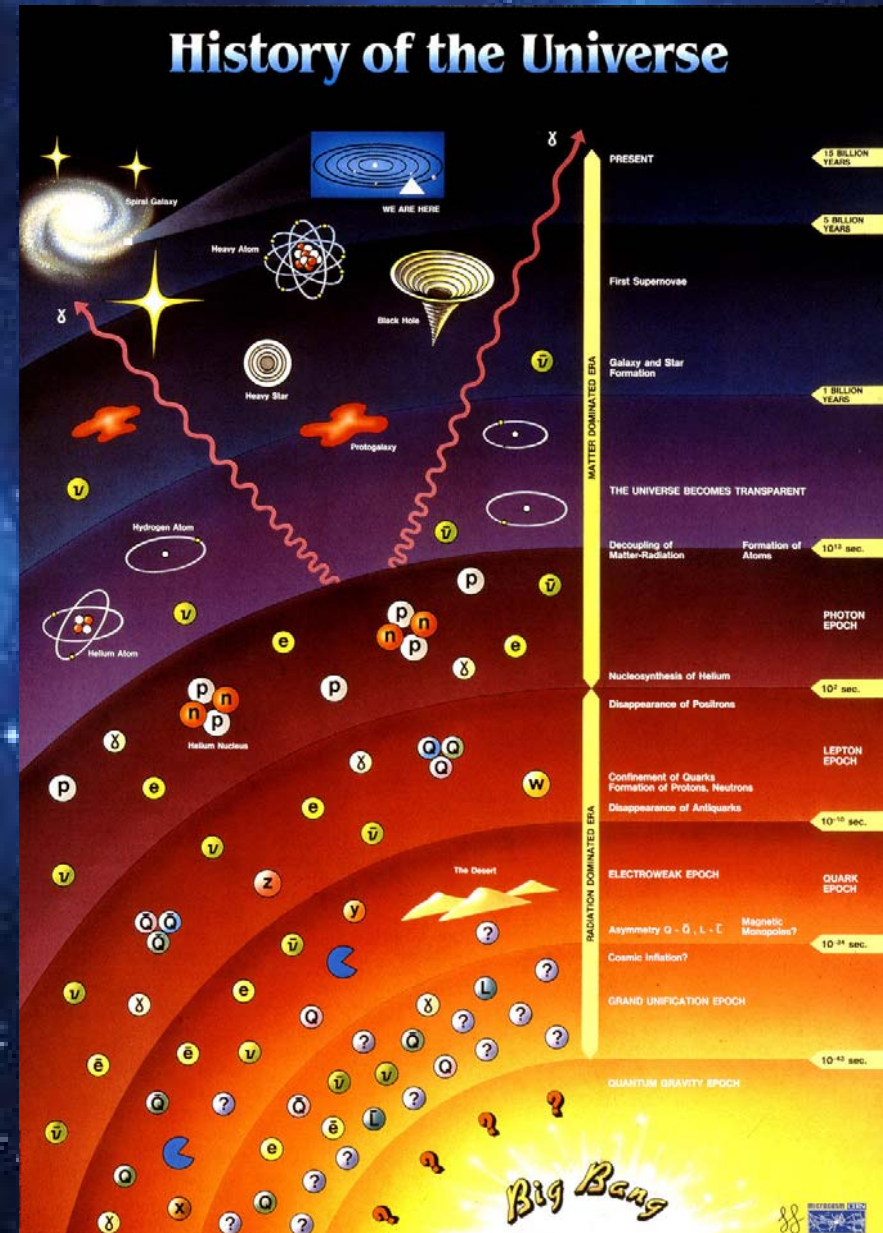
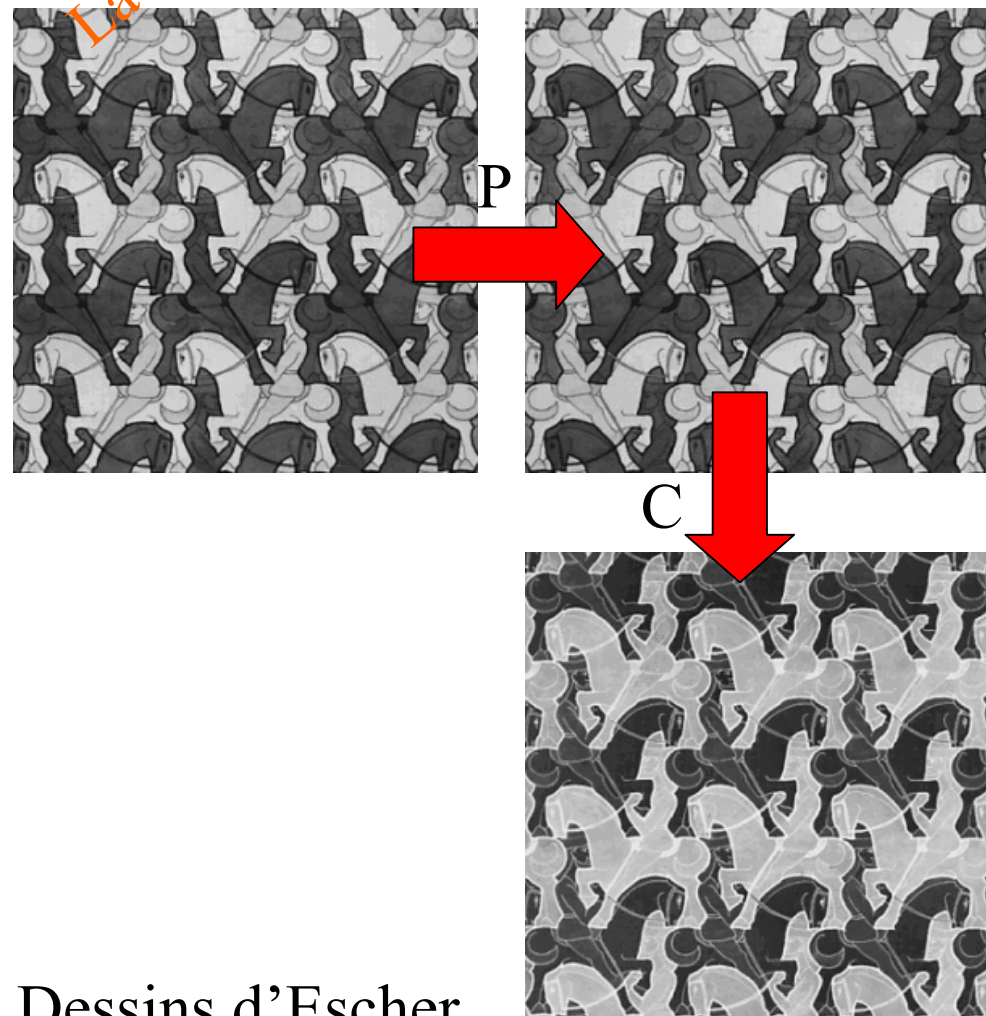
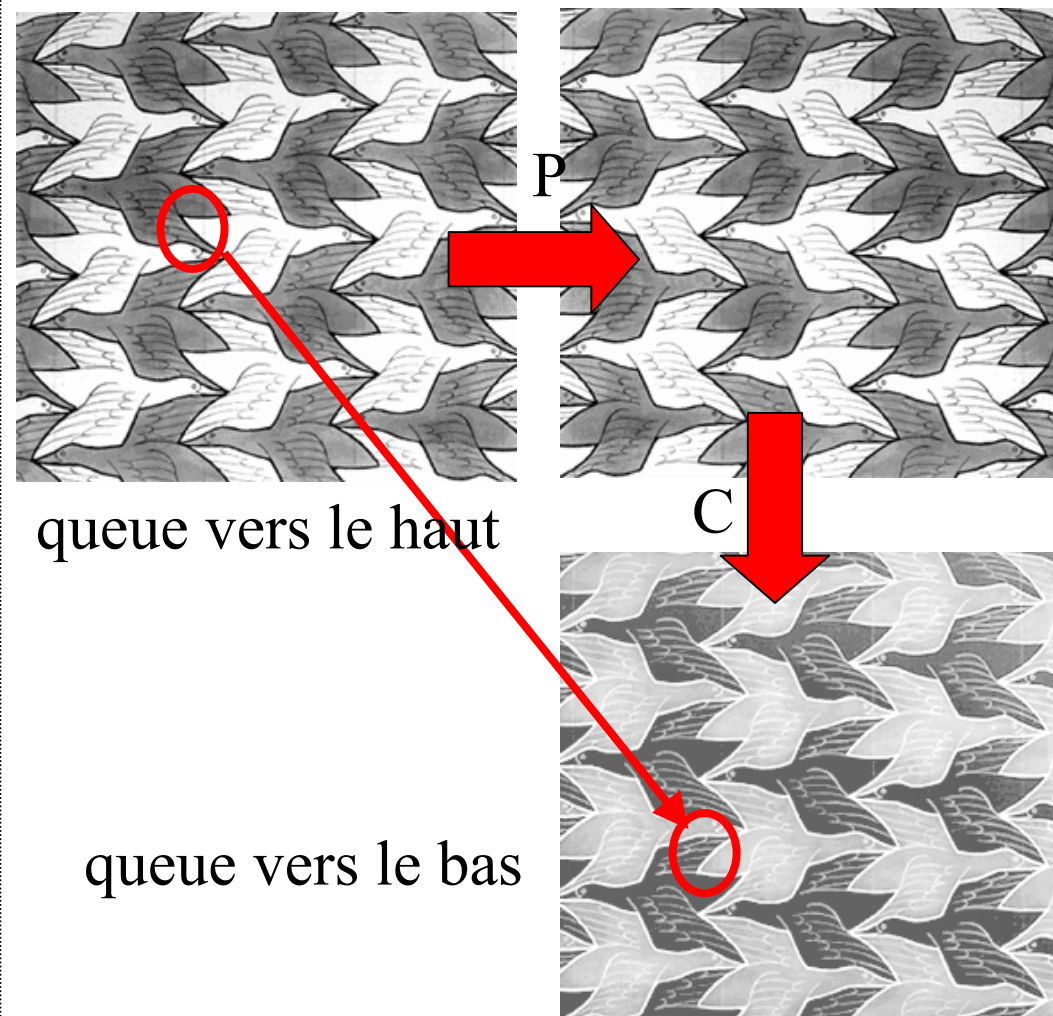


Illustration de violation de CP

La violation de CP



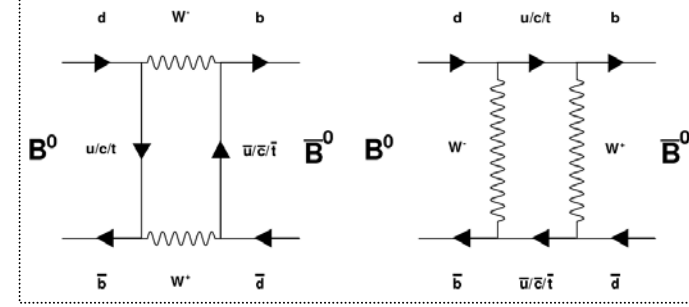
oie blanche:



Dessins d'Escher

La violation de CP

- Conjugaison **C**: $Q \rightarrow -Q$
- Parité : **P** $(x,y,z) \rightarrow (-x,-y,-z)$
- Inversion temps: **T** $t \rightarrow -t$



- directe (« désintégration »)
- indirecte (« mélange »)

$$P(B \rightarrow f) \neq P(\bar{B} \rightarrow \bar{f})$$

$$B^0 \longrightarrow f$$

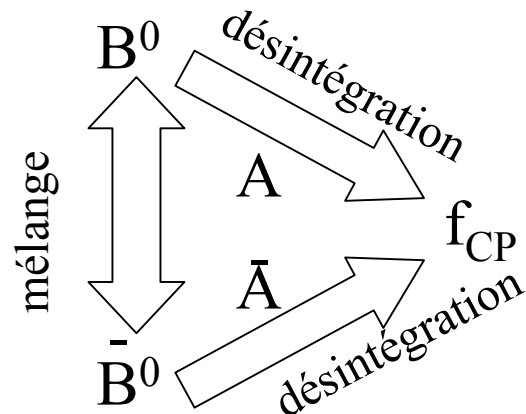
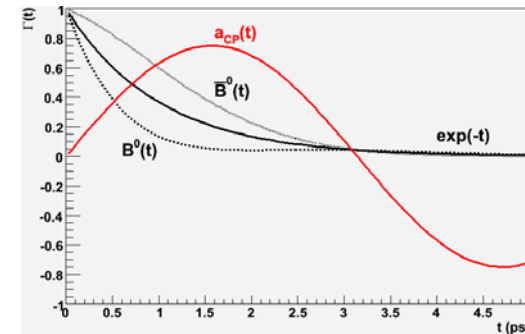
$$\bar{B}^0 \not\longrightarrow \bar{f}$$

$$P(B \rightarrow \bar{B}) \neq P(\bar{B} \rightarrow B)$$

$$B^0 \longrightarrow \bar{B}^0$$

$$\bar{B}^0 \not\longrightarrow B^0$$

- interf. entre désintégrations avec et sans mélange





Histoire violation CP

1949, Powell puzzle τ/θ

1954, Lüders, Pauli, Schwinger : CPT conservé

balbutiements



1956, Lee, Yang, tester conservation **P**
(<1957, P, C, T dites « conservés »)

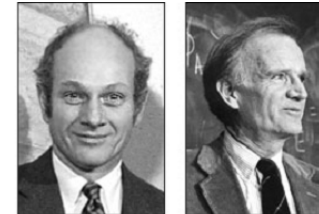
1957: Wu, violation **P** dans ^{60}Co



Violation P

<1964: **CP** « ~~conservé~~ »: CP pair: $K_S \rightarrow \pi^+ \pi^-$, CP impair: $K_L \rightarrow \pi^+ \pi^- \pi^0$

1964, Christenson, Cronin, Fitch, Turlay



violation **CP indirecte/mélange** dans **kaons** neutres

$K_L \rightarrow \pi^+ \pi^-$ ($\sim 10^{-3}$)

Violation CP

>1964, CPT conservé, C, P, CP violé par interaction faible

$\cancel{CP}$: principe fondamental ou « accident » ?

- fondamental $\rightarrow$ indépendamment du mélange

$\mathbb{K}$

1998: violation T dans **kaons** neutres

CPLEAR

(1993), 1999: violation CP directe dans **kaons** neutres (NA31, E731), KTEV, NA48

- fondamental $\rightarrow$ d'autres systèmes

1975, Pais, Treiman: prédiction $\cancel{CP}$ faible dans saveurs lourdes (c, b)
(mélange seul)

$\mathbb{B}$

1981, Bigi, Carter, Sanda: prédiction $\cancel{CP} \gg$ dans interférence
désintégration **B** $\rightarrow J/\psi K_S$ avec et sans mélange, possibilité mesure $\sin 2\beta$



1987, Oddone, proposition usines à **B** asymétriques (f(t))
(1^{ères} collisions, 1999)

2001: violation CP interférence, $\mathbb{B}$ neutres

$B^0 \rightarrow J/\psi K_S$

Babar, Belle

2004: violation CP directe dans $\mathbb{B}$ neutres

$B^0 \rightarrow K^+ \pi^-$

Babar, Belle

Principales mesures de violation de CP



1973: Kobayashi, Maskawa, mélange quarks : (+Cabibbo 1963)

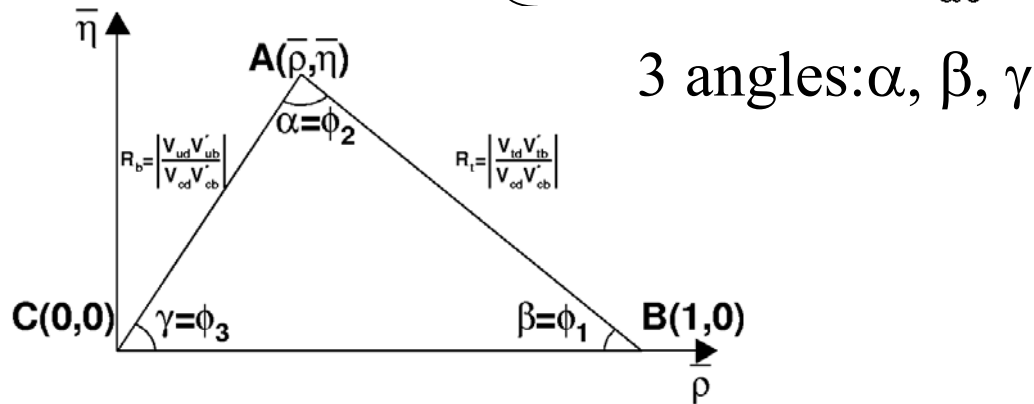
état propre interaction faible $\neq$ état propre masse

$$\begin{pmatrix} d' \\ s' \\ b' \end{pmatrix} = \begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix} \begin{pmatrix} d \\ s \\ b \end{pmatrix}$$

Présence d'une phase
→ violation CP

La matrice CKM et le triangle d'unitarité

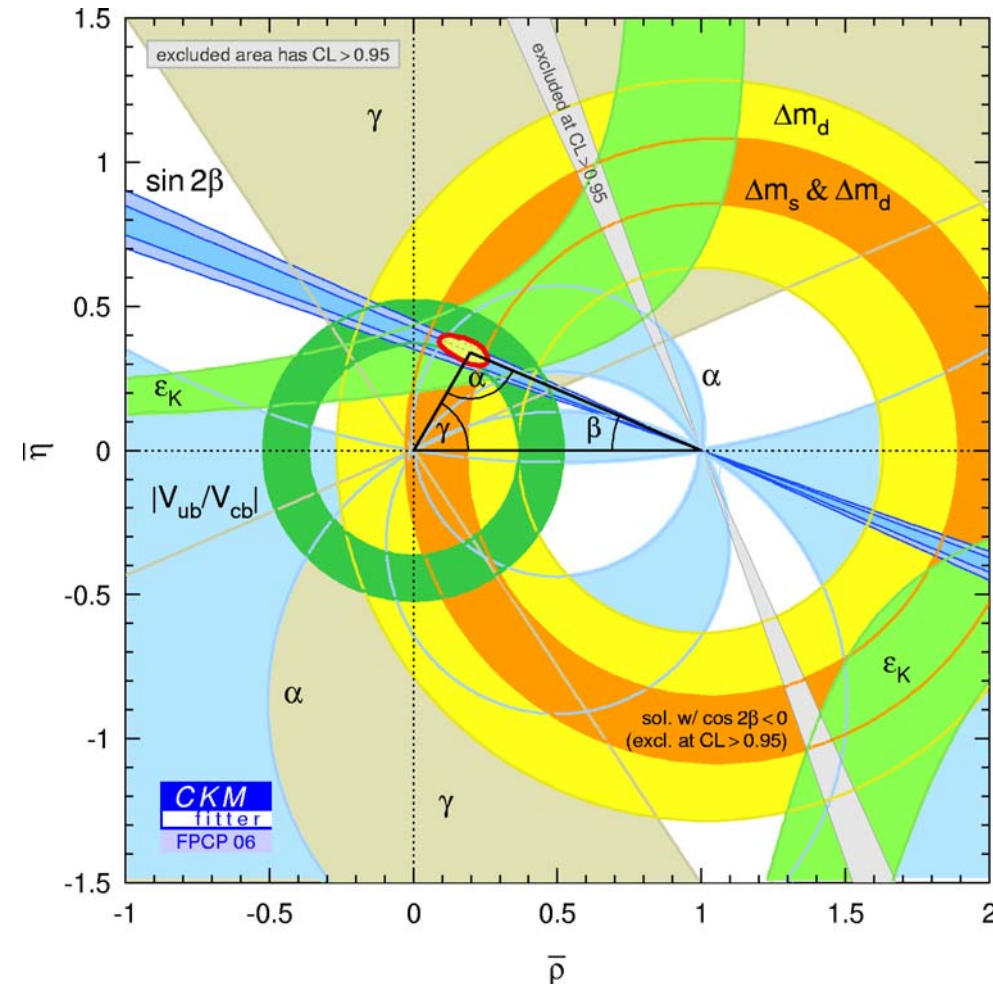
$$V_{\text{CKM, unitaire}} \begin{cases} V^\dagger V = 1 & \rightarrow \text{triangle d'unitarit } \\ V V^\dagger = 1 & V_{ub}^* V_{ud} + V_{cb}^* V_{cd} + V_{tb}^* V_{td} = 0 \end{cases}$$



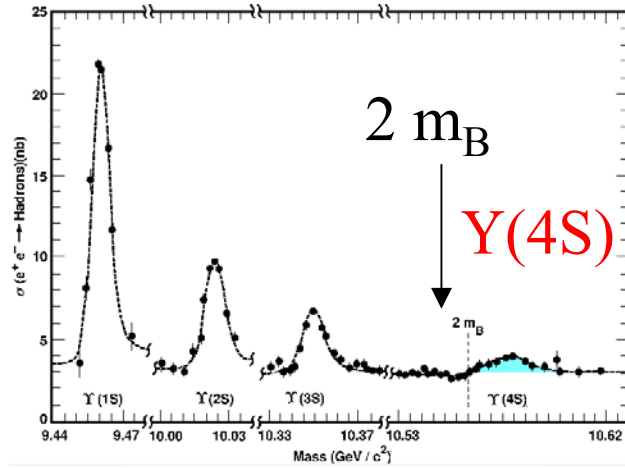
- $\alpha=92.6^{+10.7}_{-9.3}^{\circ}$
- $\beta=21.7^{+1.3}_{-1.2}^{\circ} \rightarrow$ précis
- $\gamma=62^{+38}_{-24}^{\circ}$

β: précis: mesurer avec méthodes ≠
→ nouvelle physique ?

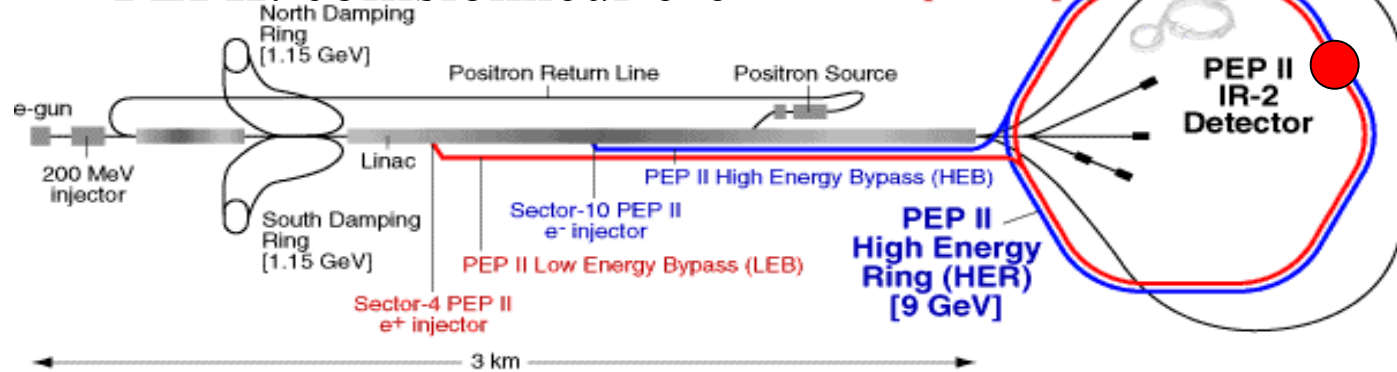
γ & α : modes rares, (plus de stat)



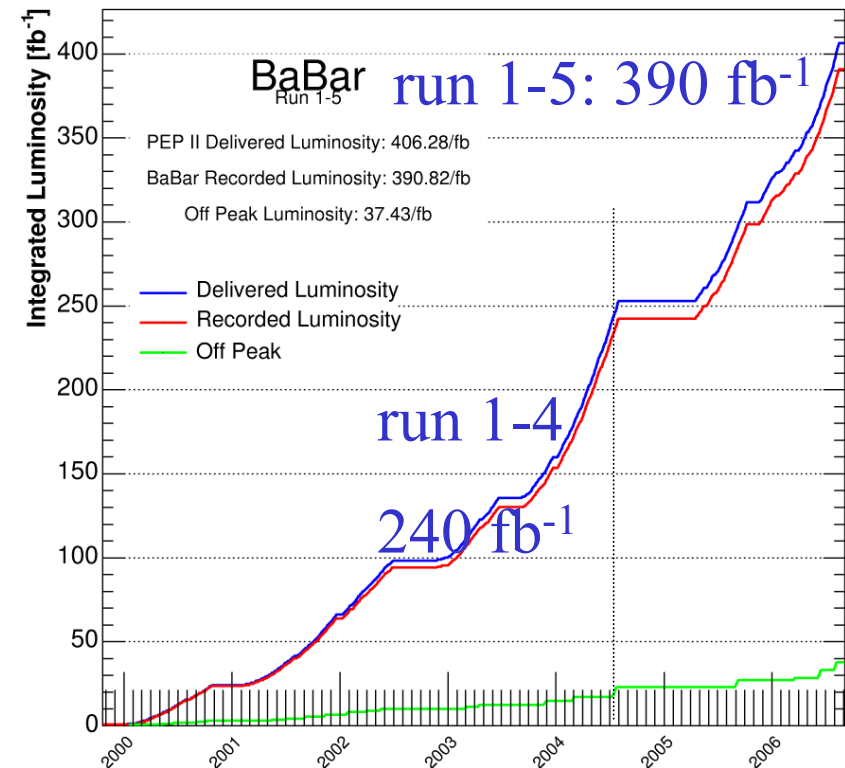
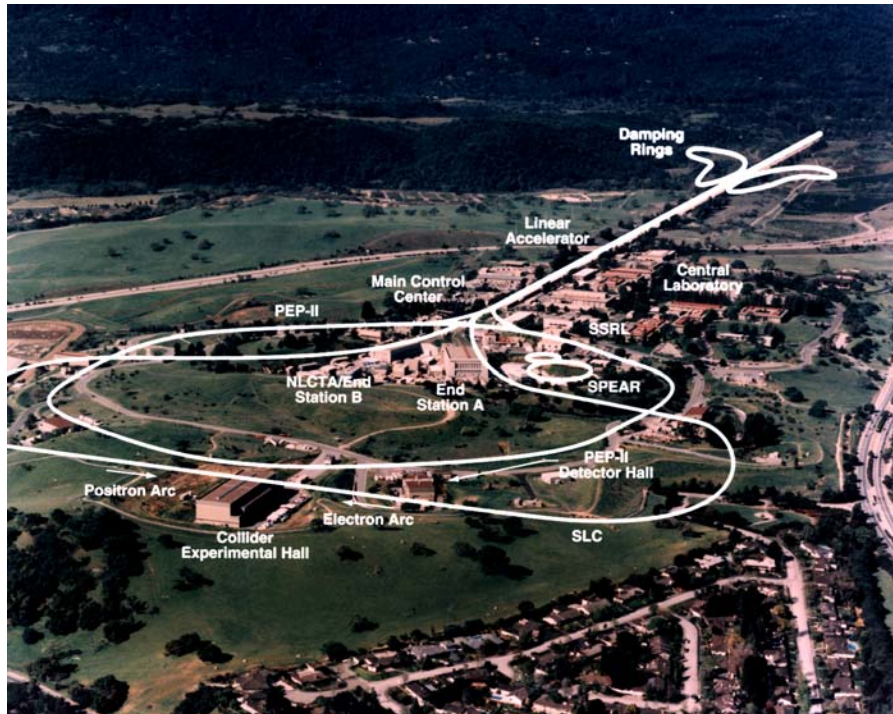
Expérience Babar



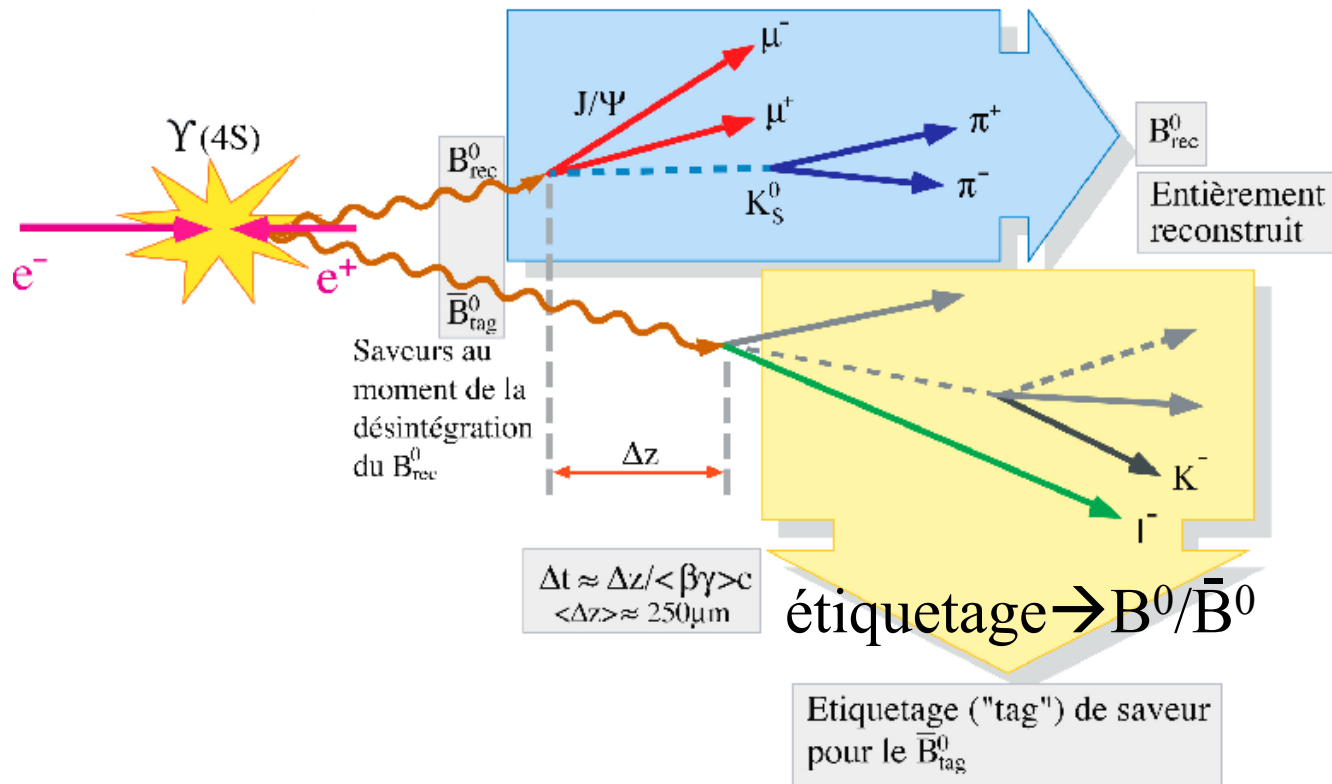
PEPII: collisionneur e^+e^-



09/06/2006 04:2

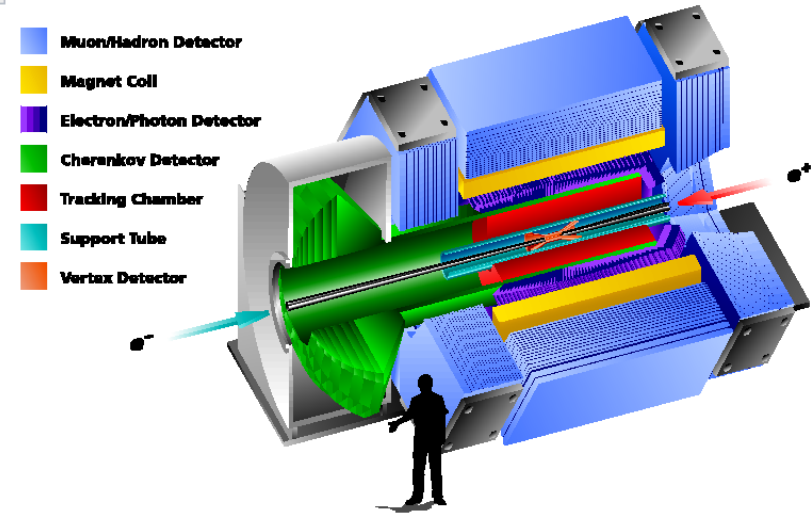


formalisme



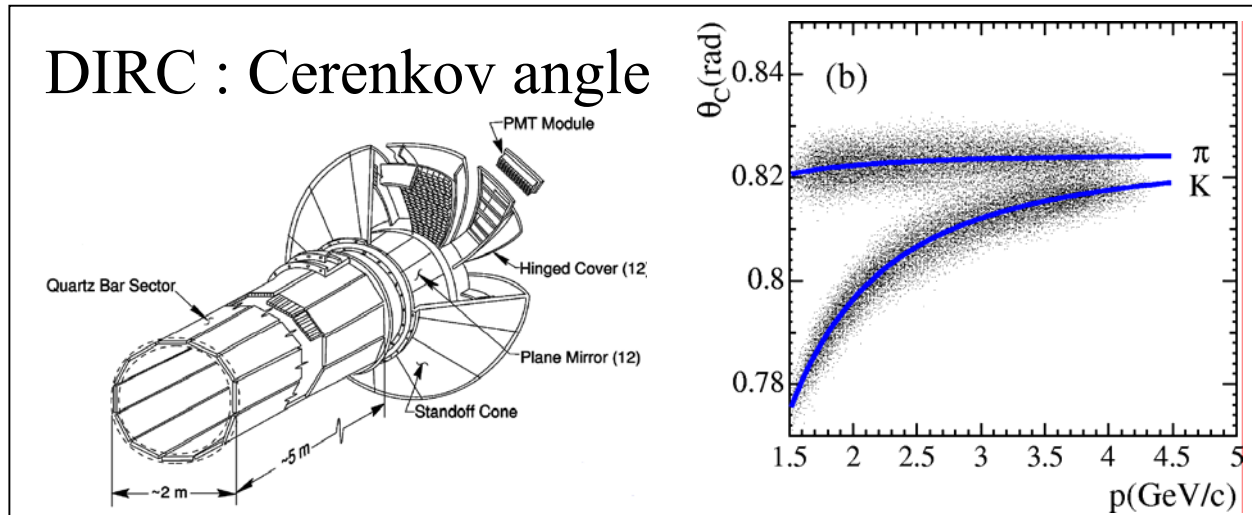
- Détecteur de vertex (SVT)
- Chambre à dérive (DCH)
- Détecteur Cerenkov (DIRC)
- Calorimètre électromagnétique (EMC)
- Aimant supraconducteur
- Retour de flux instrumenté (IFR)

BABAR Detector



Signal selection

- Hadron ID $\rightarrow \pi/K$ separation

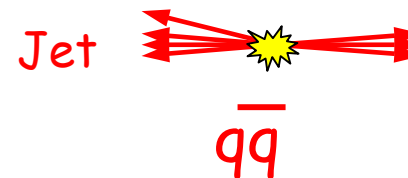
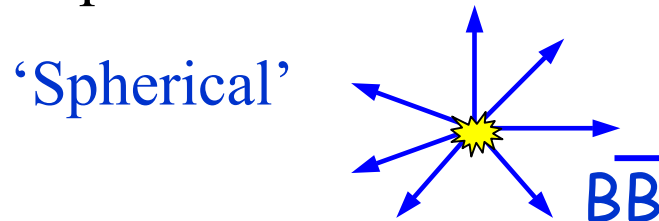


+dE/dx using DCH

- Kinematical identification with
 - Beam energy substituted mass
 - Energy difference
- Event-shape variables: neural network

$$m_{ES} = \sqrt{E_{beam}^{*2} - p_B^{*2}}$$

$$\Delta E = E_B^* - E_{beam}^*$$



+mass-helicities

Extraction des paramètres

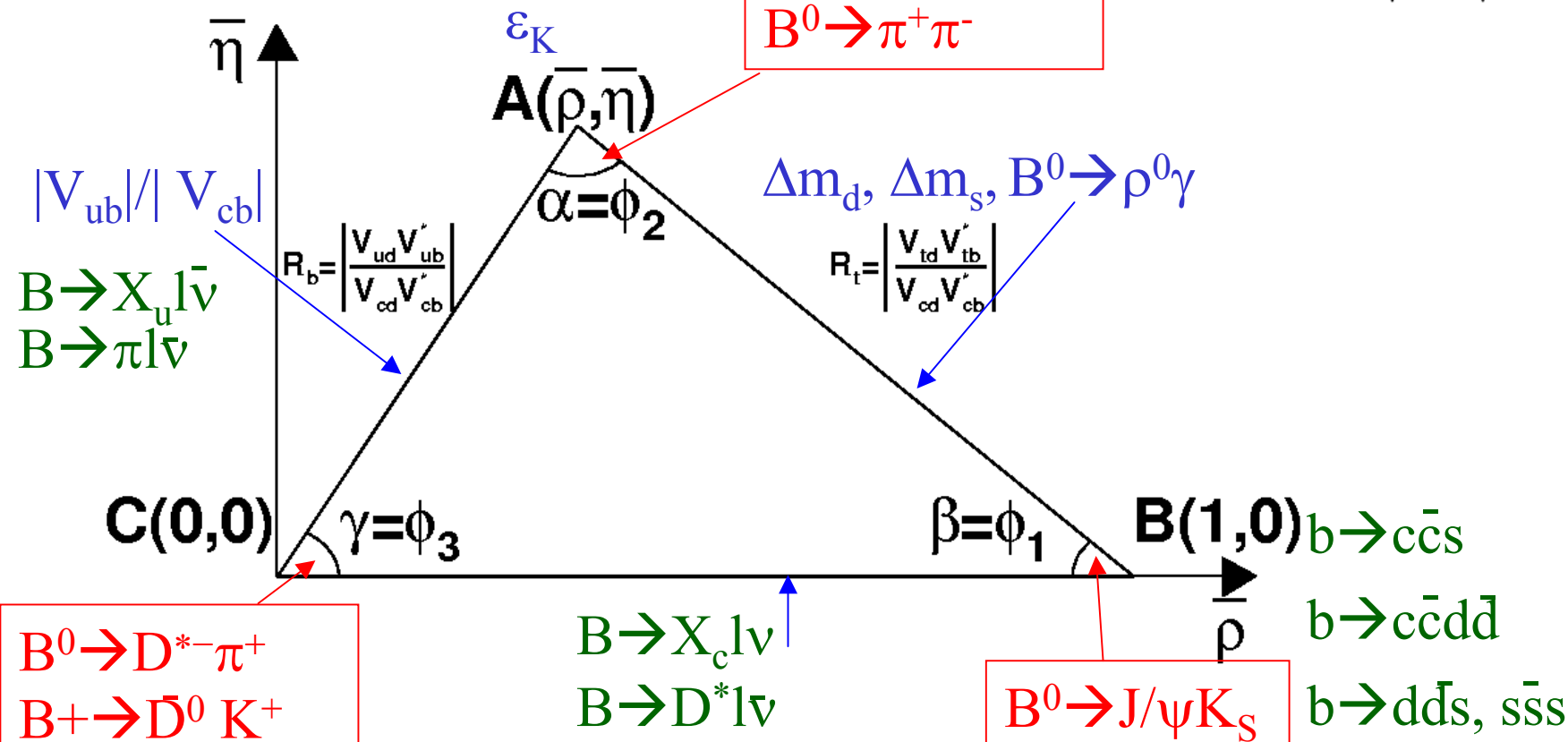
Revue analyses

- module élém matrice, + autr. contraintes
- angles: α_{CP}
- rapport des côtés: mélange B, $b \rightarrow ul\bar{\nu}$

$$V_{ub} = |V_{ub}|e^{-i\gamma}$$

$$\begin{pmatrix} V_{ud} & V_{us} & V_{ub} \\ V_{cd} & V_{cs} & V_{cb} \\ V_{td} & V_{ts} & V_{tb} \end{pmatrix}$$

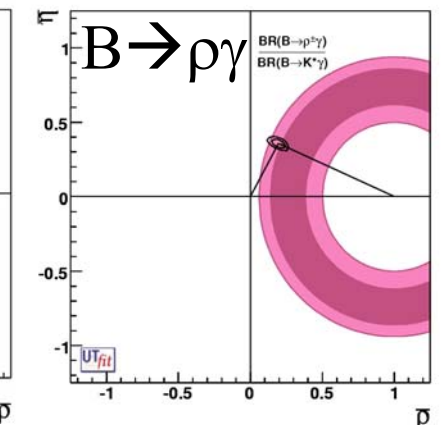
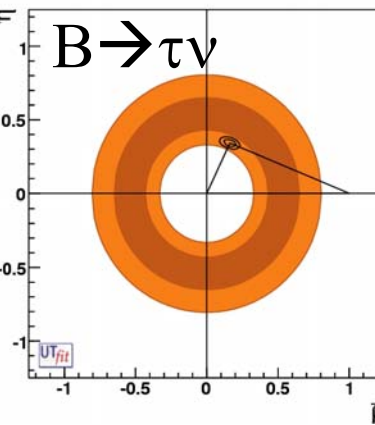
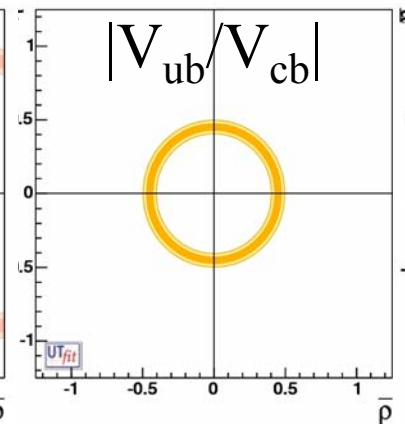
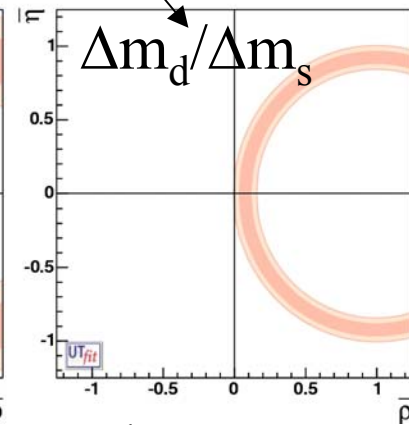
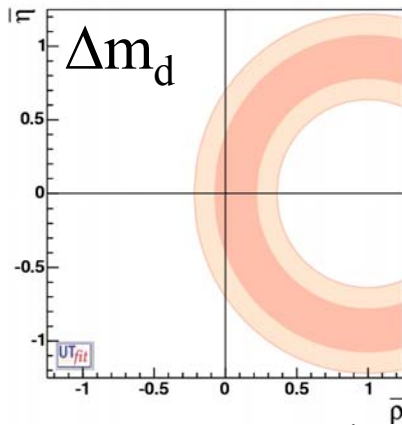
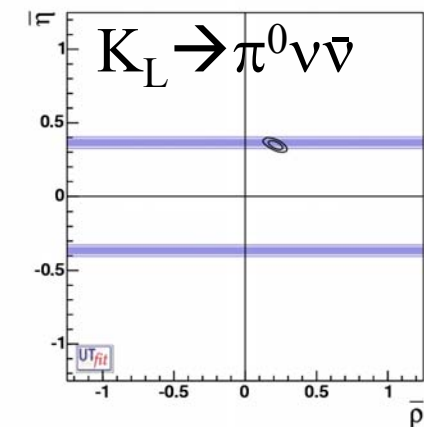
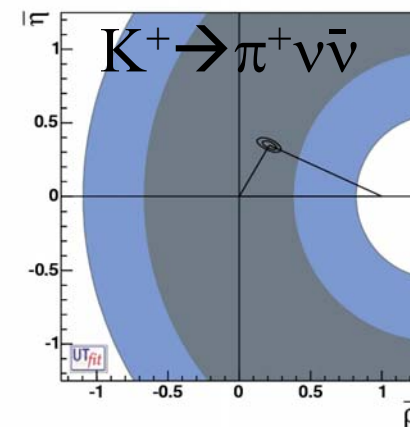
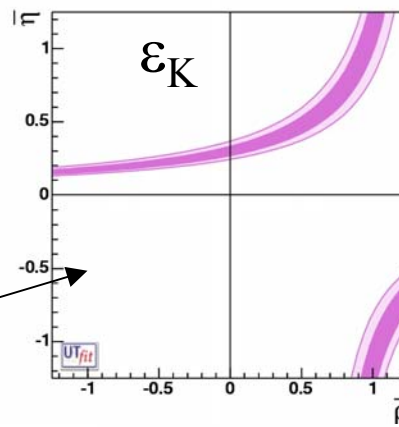
$$V_{td} = |V_{td}|e^{-i\beta}$$



Mesures

(+ autres analyses)

- Mesures directes: V_{ij}
(non dans Babar)

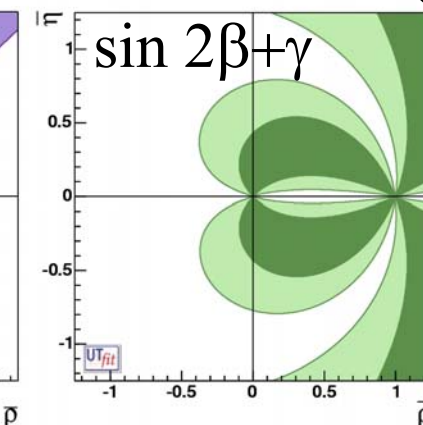
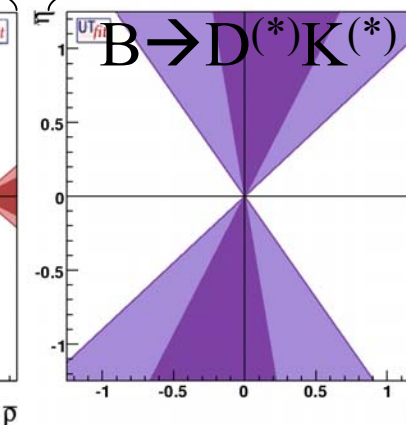
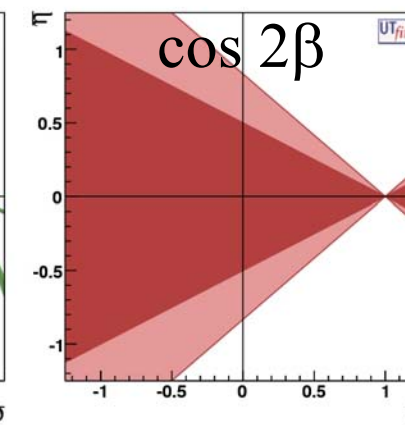
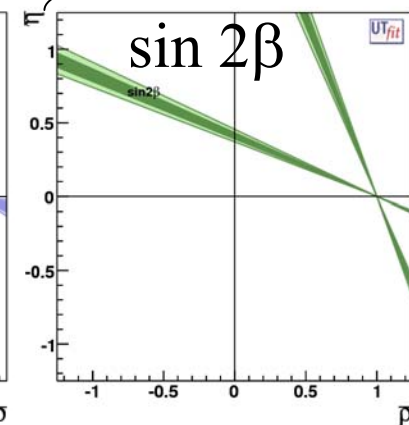
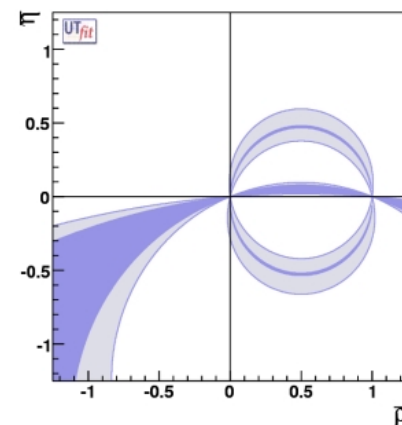


- Mesure des angles

α

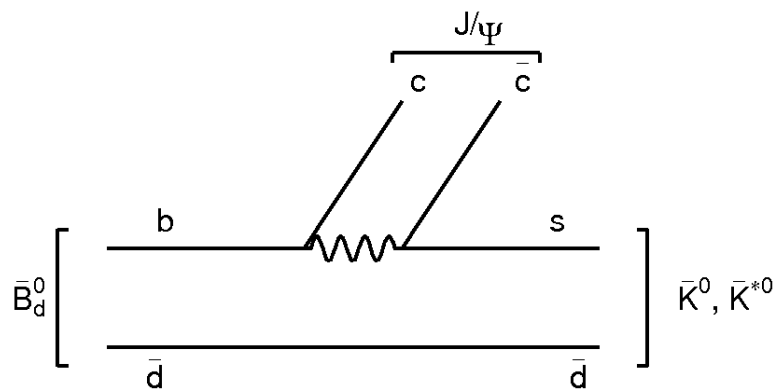
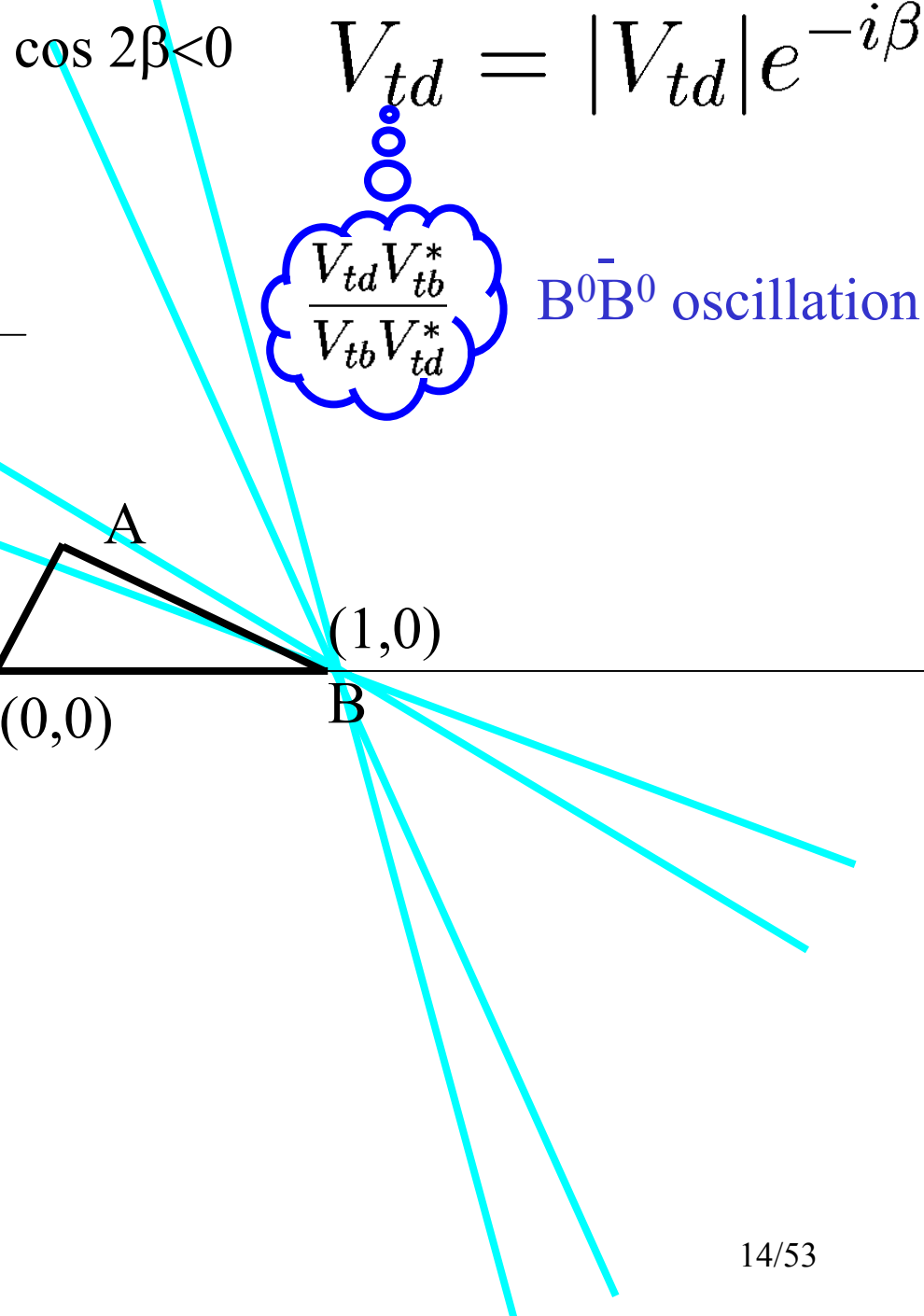
β

γ



β

$$\beta = \arg \left(-\frac{V_{cd}V_{cb}^*}{V_{td}^*V_{td}} \right)$$



$\rightarrow B \rightarrow J/\psi K_S$

$b \rightarrow c \bar{c} s$

charmonium

dominé arbre

$b \rightarrow c \bar{c} d$

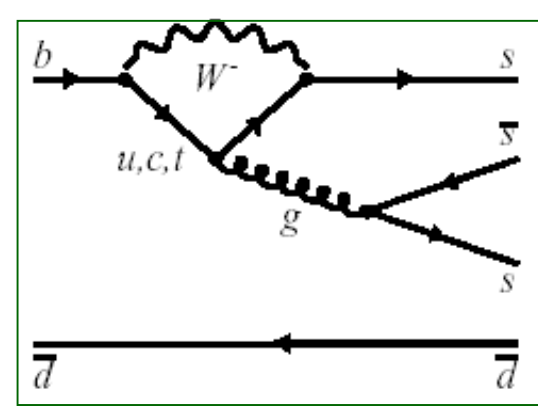
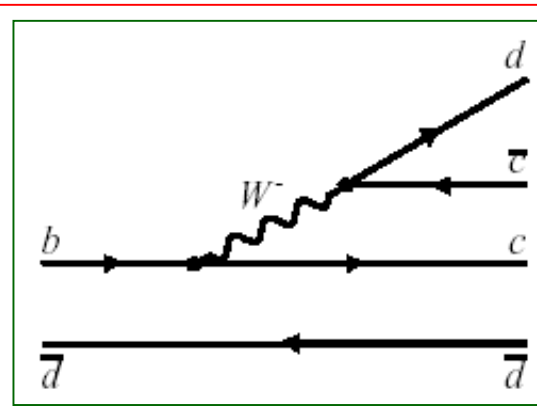
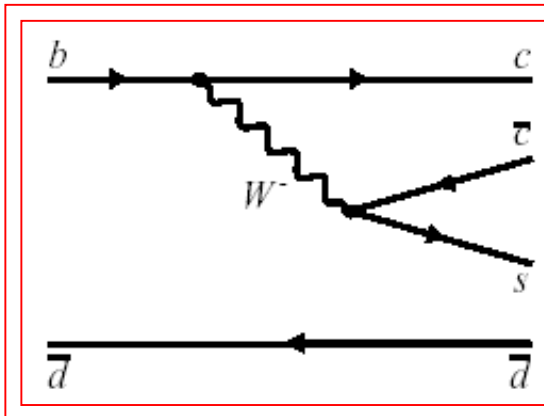
charm et charmonium

présence pingouin

$b \rightarrow d \bar{d} s, s \bar{s} s$

dominé pingouin

dominé pingouin



$J / \psi K_S^0$ (canal en or)

$\psi(2S) K_S^0, \chi_{c1} K_S^0, \eta_c K_S^0$

$J / \psi K_L^0$

$J / \psi K^{*0} (K^{*0} \rightarrow K_S^0 \pi^0)$

$D^{*+} D^-, D^+ D^-$

$J / \psi \pi^0, D^{*+} D^{*-}$

$\phi K^0, K^+ K^- K_S^0,$

$K_S^0 K_S^0 K_S^0, \eta' K^0, K_S^0 \pi^0,$

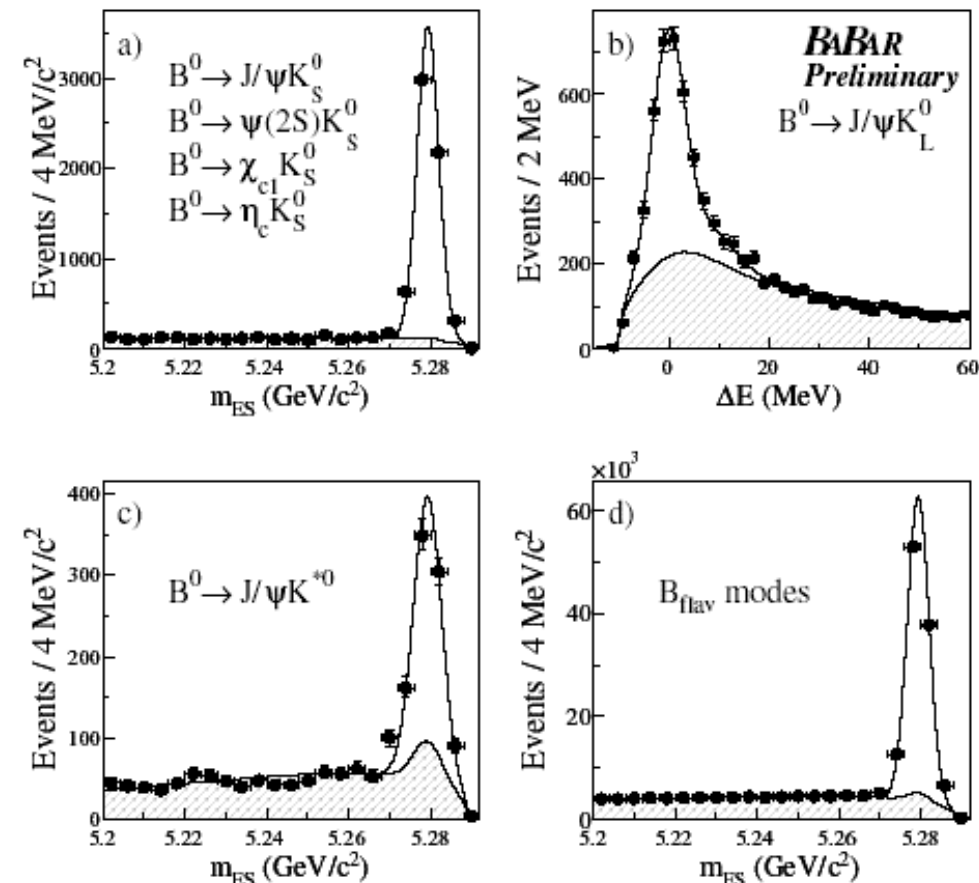
$\omega K_S^0, f_0(980) K_S^0,$

$K_S^0 K_S^0, \rho K_S^0$

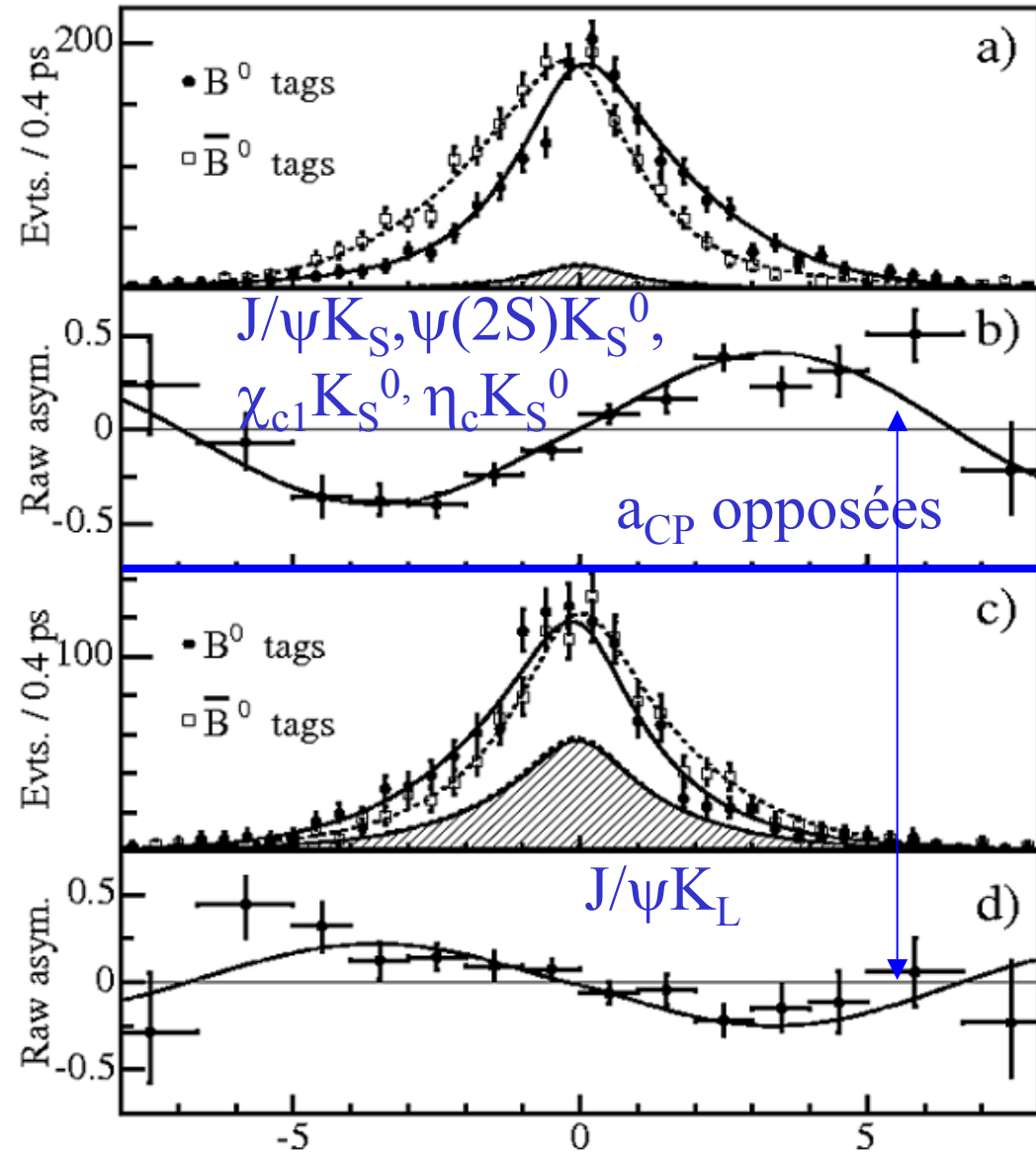
nouveau: $B^0 \rightarrow \rho^0(770) K_S^0$

347x10⁶ BB

hep-ex/0607107



très propre expérimentalement,
 BR importants (10^{-3} - 10^{-4})

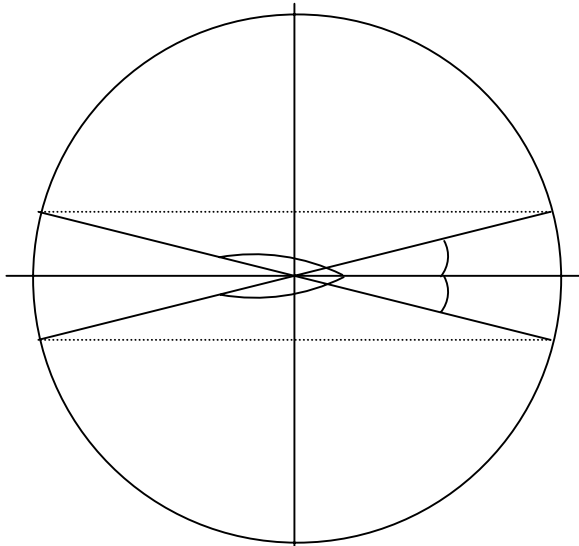


$$\sin 2\beta = 0.710 \pm 0.034 \pm 0.019$$

$$|\lambda| = 0.932 \pm 0.026 \pm 0.017$$

$$C_f = \frac{1 - |\lambda|^2}{1 + |\lambda|^2}$$

Ambiguïtés d'angle



soit ϕ un angle (α, β, γ)

Soit une mesure $|\sin 2\phi|=x$

4 solutions: $\phi=z, \phi=z+\pi, \phi=\pi/2-z, \phi=3\pi/2-z$

$\alpha+\beta+\gamma=\pi \rightarrow 16$ solutions à γ sachant (α, β)

supprimer ambiguïtés:

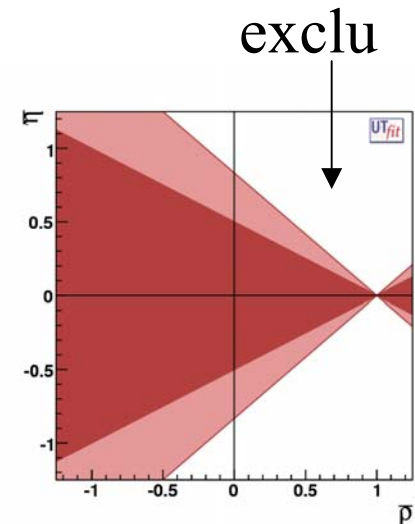
- $\text{signe}(\cos 2\phi) \rightarrow$ supprime ambiguïté $\pi/2-\phi$
- $\text{signe}(\sin \phi) \rightarrow$ supprime ambiguïté $\pi+\phi$

• analyse $f(t) B \rightarrow J/\psi K^{*0} (K^{*0} \rightarrow K_s \pi^0)$

• $B^0 \rightarrow D^0 \pi^0$

$\rightarrow \beta = (21.2 \pm 1.0)^\circ$ or $(68.8 \pm 1.0)^\circ$

95% CL

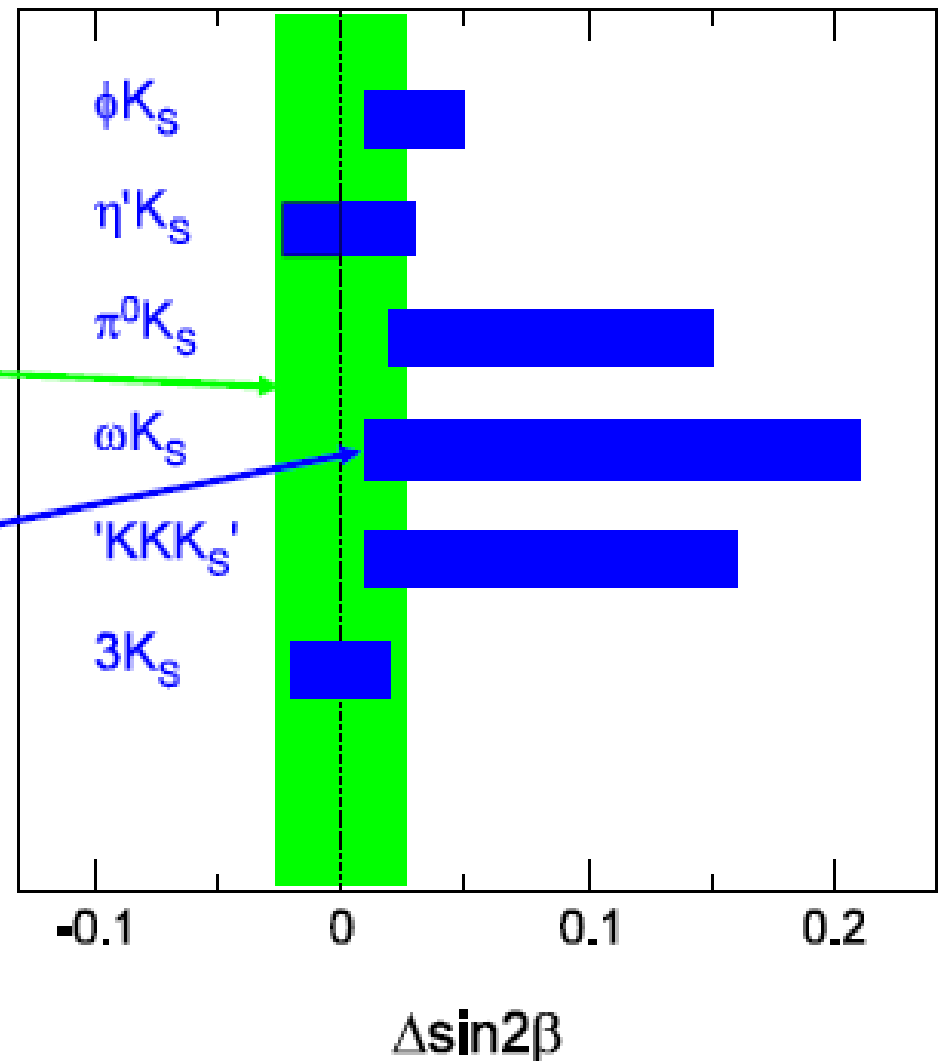


$\sin 2\beta$ from charmless B decays

Compare $\sin 2\beta$ measured in penguin modes to $\sin 2\beta$ from $(c\bar{c})K$

$\sin 2\beta$ experimental uncertainty from $(c\bar{c})K$

$b \rightarrow s$ penguin theory uncertainty

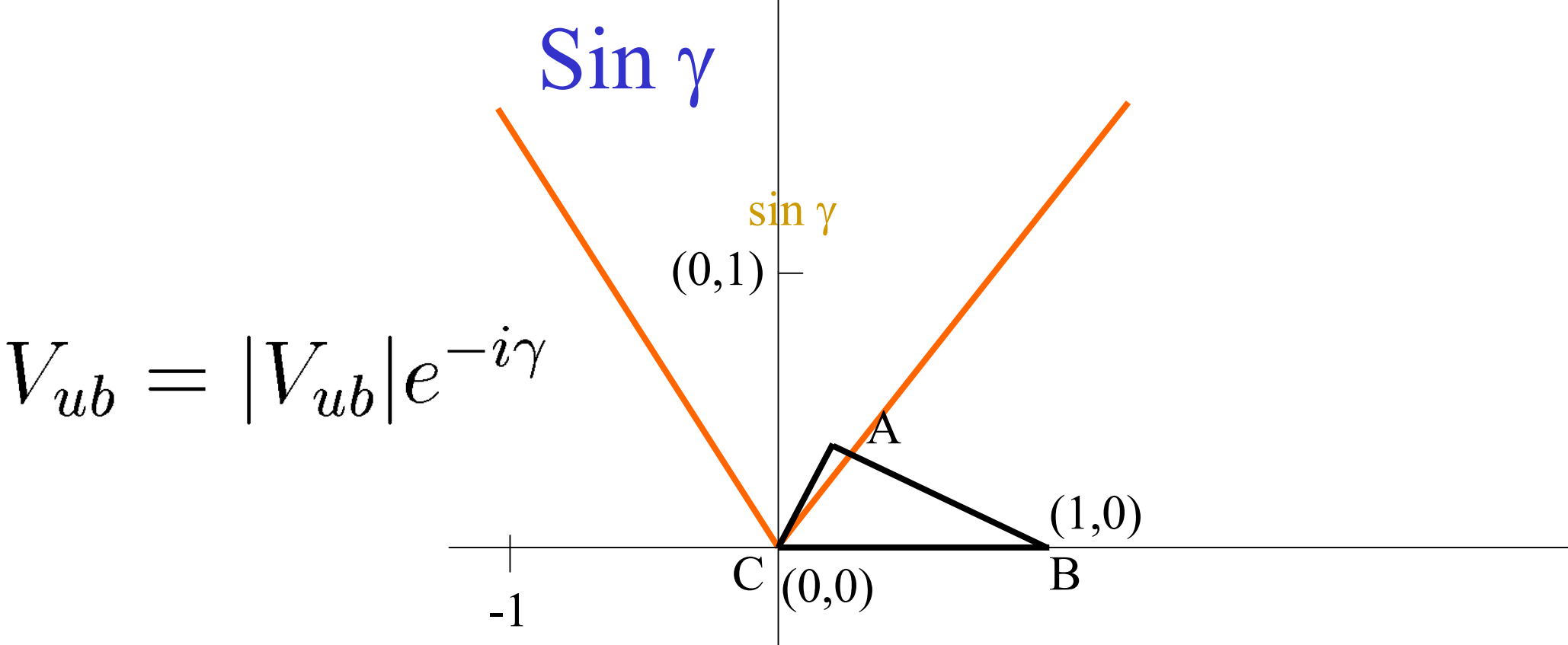


Beneke PLB 620 143 (2005)

Mishima, Sanda PRD 72 114005 (2005)

Williamson, Zupan PRD 74 014003 (2006)

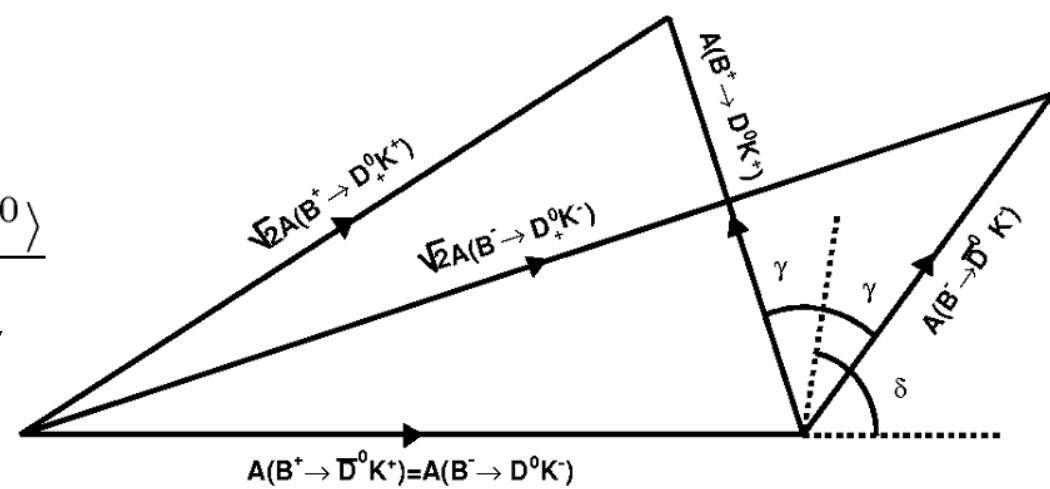
Cheng, Chua, Soni PRD 014006 (2005)



- Gronau, London, Wyler (GLW), 1991: $(D^0/\bar{D}^0)_{\text{CP}} K^{\pm}$
- Aleksan, Dunietz, Kayser (ADK), 1992
- Atwood, Dunietz, Soni (ADS), 1997: $K^+K^-\pi^{\pm}$
- GGSZ (Giri, Grossman, Soffer, Zupan), «Dalitz»: $(K_S^0\pi^+\pi^-)K^{\pm}$
- $\sin(2\beta+\gamma)$ (analyse en temps de $B \rightarrow D^{(*)}\pi$)

GLW

États propres **CP** $|D_{\pm}^0\rangle = \frac{|D^0\rangle \pm |\bar{D}^0\rangle}{\sqrt{2}}$
deux quantités mesurant γ



• Asymétrie de CP

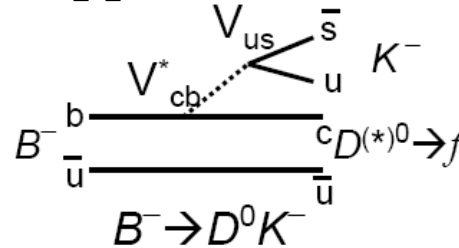
$$A_{CP\pm} = \frac{Br(B^- \rightarrow D_{CP\pm}^0 K^-) - Br(B^+ \rightarrow D_{CP\pm}^0 K^+)}{Br(B^- \rightarrow D_{CP\pm}^0 K^-) + Br(B^+ \rightarrow D_{CP\pm}^0 K^+)} \quad \left. \vphantom{A_{CP\pm}} \right\} = f(\gamma)$$

• $R_{CP\pm}$

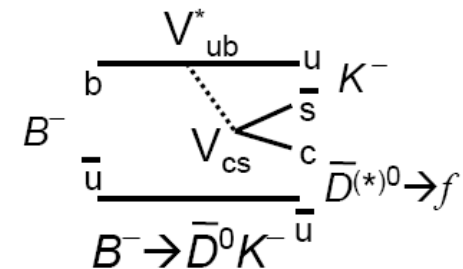
$$R_{CP\pm} = \frac{Br(B^- \rightarrow D_{CP\pm}^0 K^-) + Br(B^+ \rightarrow D_{CP\pm}^0 K^+)}{[Br(B^- \rightarrow D^0 K^-) + Br(B^+ \rightarrow \bar{D}^0 K^+)]/2} \quad \left. \vphantom{R_{CP\pm}} \right\} = f(\gamma)$$

r_B : rapport sup/fav

supp. couleur



fav. couleur



Propre théoriquement (pas de pingouin), pas d'incertitudes hadroniques. r_B faible $\rightarrow$ faible sensibilité à γ . Br faibles: stat limitée. Ambiguïté d'ordre 8 sur γ

Inconvénient de GLW: r_B faible

$$r_B = |A(B^- \rightarrow \bar{D}^0 K^-) / A(B^- \rightarrow D^0 K^-)|$$

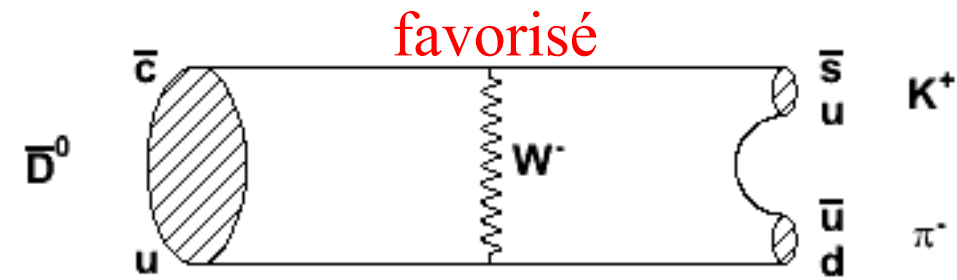
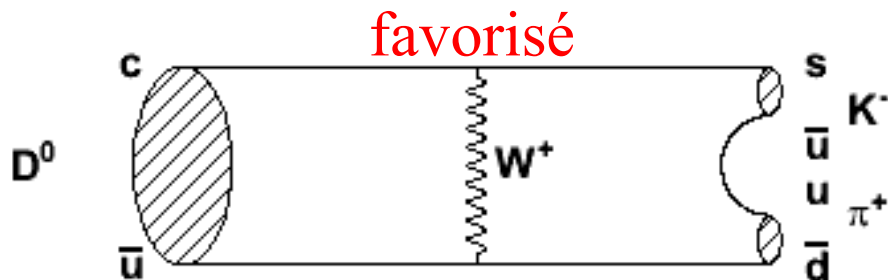
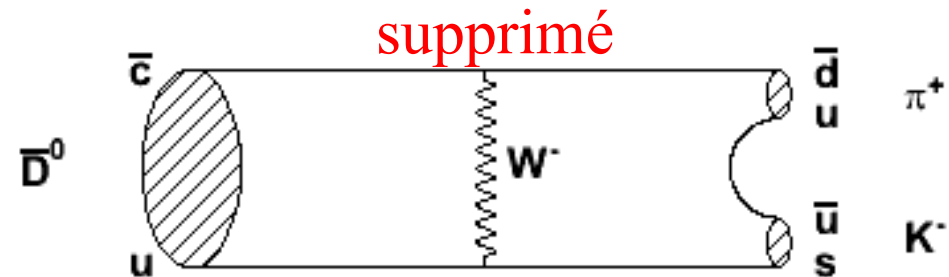
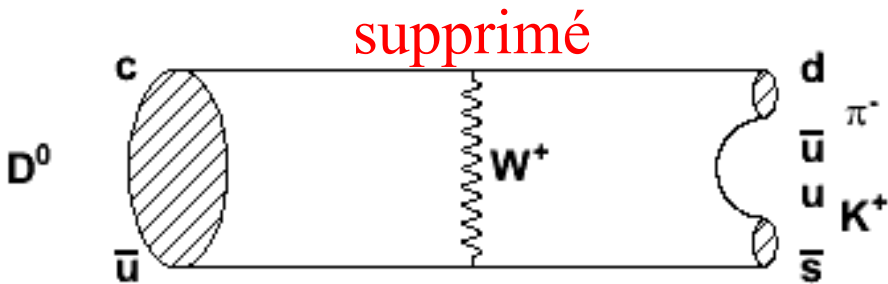
Idée: rendre ces rapports plus proches:

$B^- \rightarrow D^0 K^-$ (favorisé) & $D^0 \rightarrow K^+ \pi^-$ supprimé

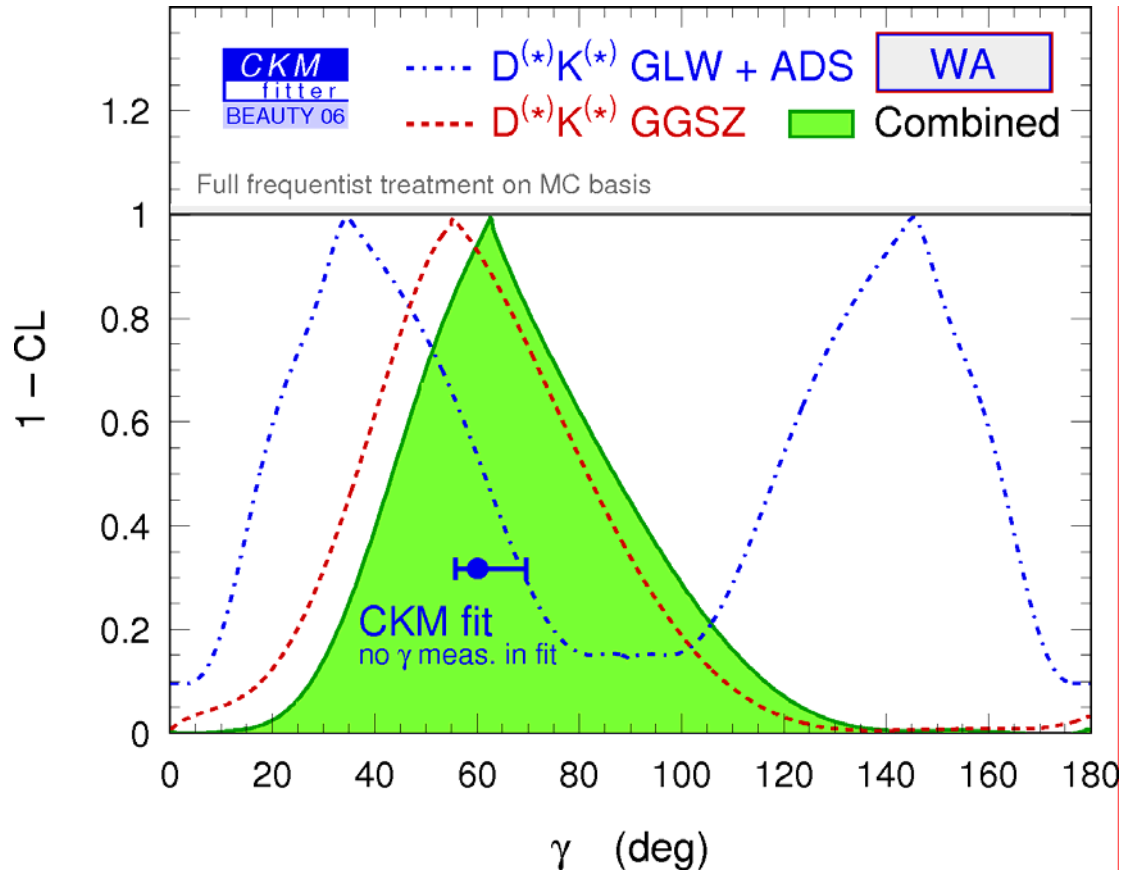
$B^- \rightarrow \bar{D}^0 K^-$ (supprimé) & $\bar{D}^0 \rightarrow K^+ \pi^-$ favorisé

$B^+ \rightarrow \bar{D}^0 K^+$ (favorisé) & $\bar{D}^0 \rightarrow K^- \pi^+$ supprimé

$B^+ \rightarrow D^0 K^+$ (supprimé) & $D^0 \rightarrow K^- \pi^+$ favorisé



Résultats γ



$62 +38/-24$ deg

Extraction de α

$$\alpha = \arg \left(-\frac{V_{td}V_{tb}^*}{V_{ud}V_{ub}^*} \right)$$

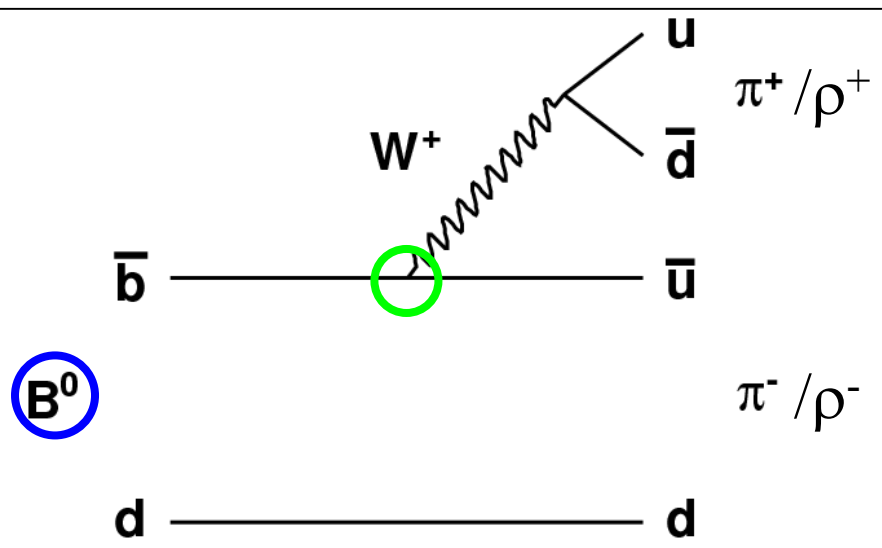
$$V_{td} = |V_{td}|e^{-i\beta}$$

$$\frac{V_{td}V_{tb}^*}{V_{tb}V_{td}^*}$$

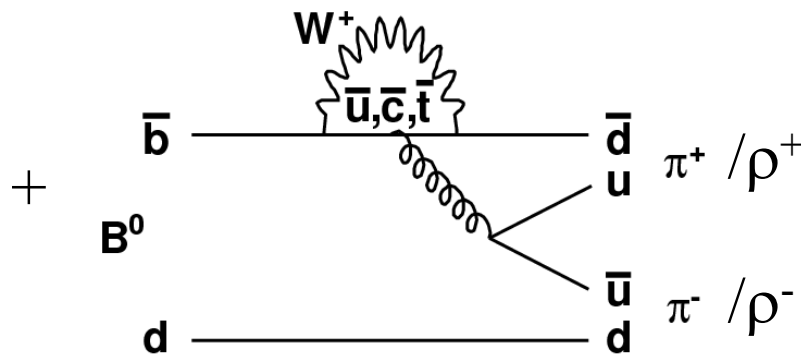
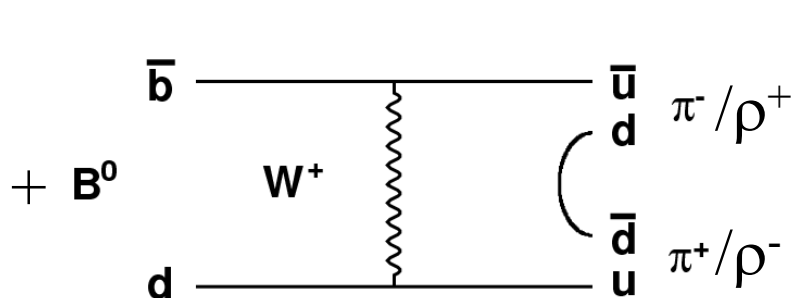
$B^0\bar{B}^0$ oscillation

$$V_{ub} = |V_{ub}|e^{-i\gamma}$$

$$\alpha \sim (\beta + \gamma)$$



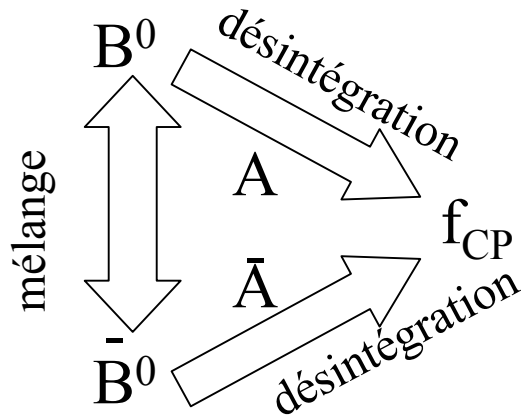
- $B^0/\bar{B}^0 \rightarrow \pi^+\pi^-$
- $B^0/\bar{B}^0 \rightarrow \rho^\pm\pi^\mp$
- $B^0/\bar{B}^0 \rightarrow \rho^+\rho^-$



penguin

$\rightarrow \alpha_{\text{eff}}$

Violation de CP dans interférence entre désintég. avec & sans mélange



$$\lambda = \frac{q}{p} \frac{\langle f | H | \bar{M}^0 \rangle}{\langle f | H | M^0 \rangle}$$

≠ conventions

$$a_{CP}(t) = \frac{|\langle f | H | M_{phys}^0(t) \rangle|^2 - |\langle f | H | \bar{M}_{phys}^0(t) \rangle|^2}{|\langle f | H | M_{phys}^0(t) \rangle|^2 + |\langle f | H | \bar{M}_{phys}^0(t) \rangle|^2}$$

Si $|q/p| \sim 1$ (vrai pour B, faux pour K)

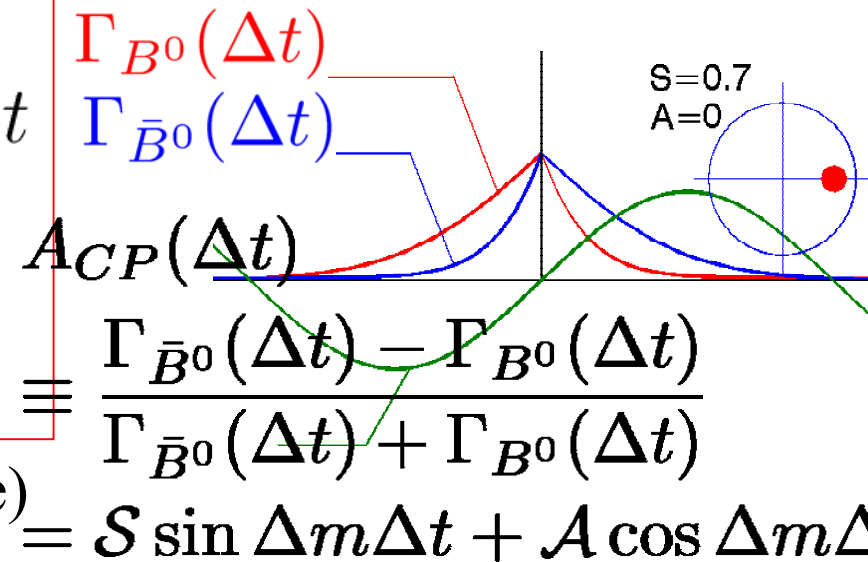
$$a_{CP}(t) = -C_f \cos \Delta m t + S_f \sin \Delta m t$$

$$C_f = \frac{1 - |\lambda|^2}{1 + |\lambda|^2}$$

CP directe

$$S_f = \frac{-2 \text{Im} \lambda}{1 + |\lambda|^2}$$

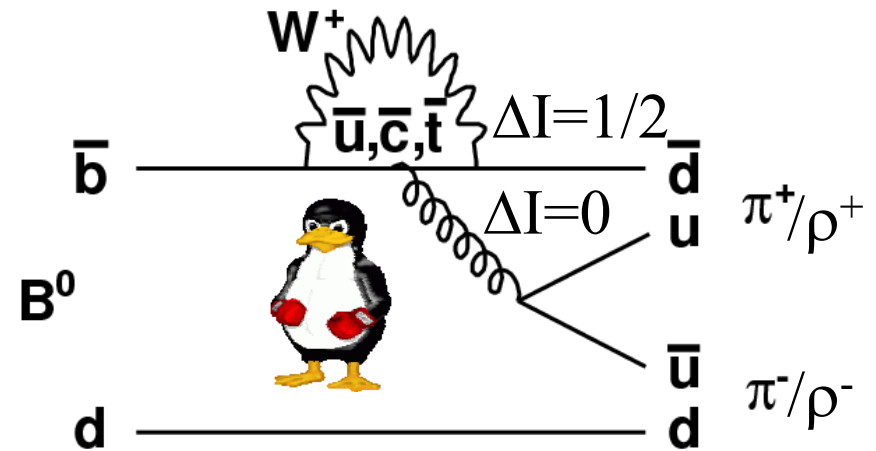
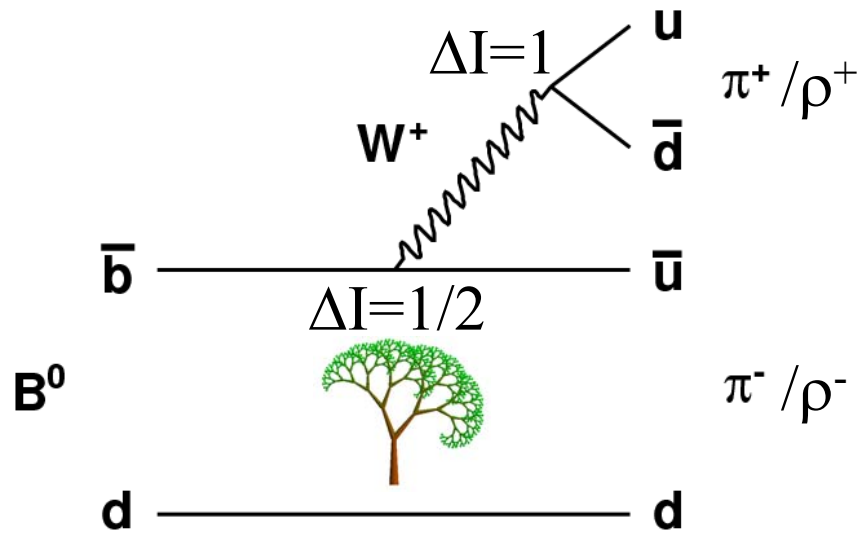
CP mélange



Babar/Belle: ≠ conventions

A=-C (Belle)

Isospin method



strategy: use isospin relationship to remove penguin pollution

$$\begin{aligned}\langle \pi^+ \pi^- | H_W | B^0 \rangle &= -\sqrt{\frac{1}{3}} A_{1/2,0} + \sqrt{\frac{1}{6}} A_{3/2,2} - \sqrt{\frac{1}{6}} A_{5/2,2} \\ \langle \pi^0 \pi^0 | H_W | B^0 \rangle &= \sqrt{\frac{1}{6}} A_{1/2,0} + \sqrt{\frac{1}{3}} A_{3/2,2} - \sqrt{\frac{1}{3}} A_{5/2,2} \\ \langle \pi^+ \pi^0 | H_W | B^+ \rangle &= \frac{\sqrt{3}}{2} A_{3/2,2} + \sqrt{\frac{1}{3}} A_{5/2,2}\end{aligned}$$

$$\frac{1}{\sqrt{2}} \langle \pi^+ \pi^- | H_W | B^0 \rangle + \langle \pi^0 \pi^0 | H_W | B^0 \rangle = \langle \pi^+ \pi^0 | H_W | B^+ \rangle$$

Idem for $\rho\rho$

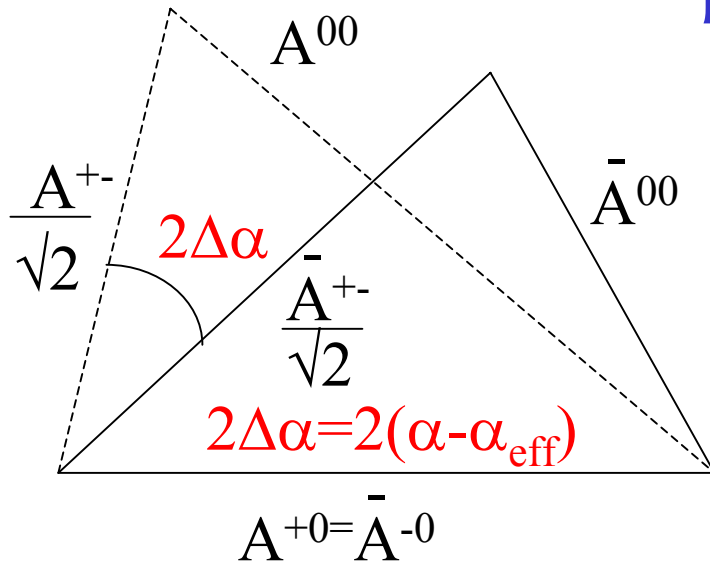
($A_{1/2}$ =penguin)

($A_{5/2}$ =NP)

→ triangle **only** if $A_{5/2}=0$

$\rho\rho/\pi\pi$

similar approach to $B \rightarrow \pi\pi$:
Gronau, London (1990)



$$A^{+-} = A(B^0 \rightarrow \rho^+ \rho^-)$$

$$\bar{A}^{+-} = A(\bar{B}^0 \rightarrow \rho^+ \rho^-)$$

$$A^{00} = A(B^0 \rightarrow \rho^0 \rho^0)$$

$$\bar{A}^{00} = A(\bar{B}^0 \rightarrow \rho^0 \rho^0)$$

$$A^{+0} = A(B^+ \rightarrow \rho^+ \rho^0)$$

$$\bar{A}^{-0} = A(B^- \rightarrow \rho^- \rho^0)$$

$\rightarrow \pi^+ \pi^- \pi^+ \pi^-$ (vertex $\neq \pi^0 \pi^0$)

measure C^{00} & S^{00}

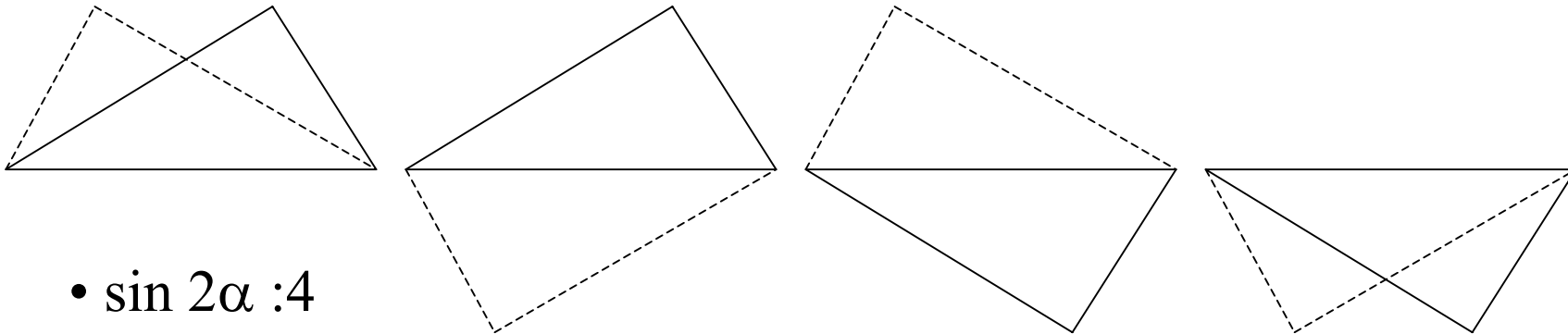
= because

tree (EW penguin $\ll 1$)

$$A_{\text{Long}}(B^+ \rightarrow \rho^+ \rho^0) = 1/\sqrt{2} \cdot A_{\text{Long}}(B^0 \rightarrow \rho^- \rho^+) + A_{\text{Long}}(B^0 \rightarrow \rho^0 \rho^0)$$

8-fold ambiguity

- triangles flip up/down: 4

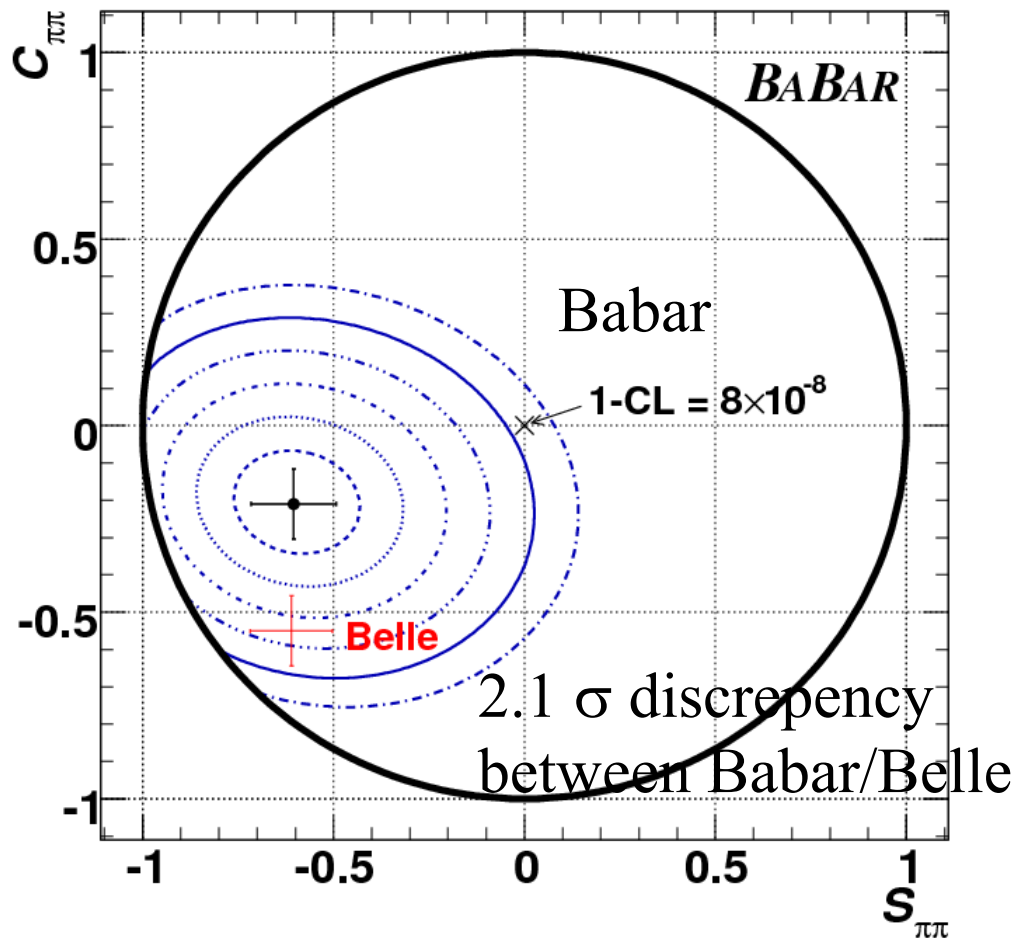


- $\sin 2\alpha : 4$

$$\phi = z, \phi = z + \pi, \phi = \pi/2 - z, \phi = 3\pi/2 - z$$

$B^0 \rightarrow \pi^+ \pi^-$

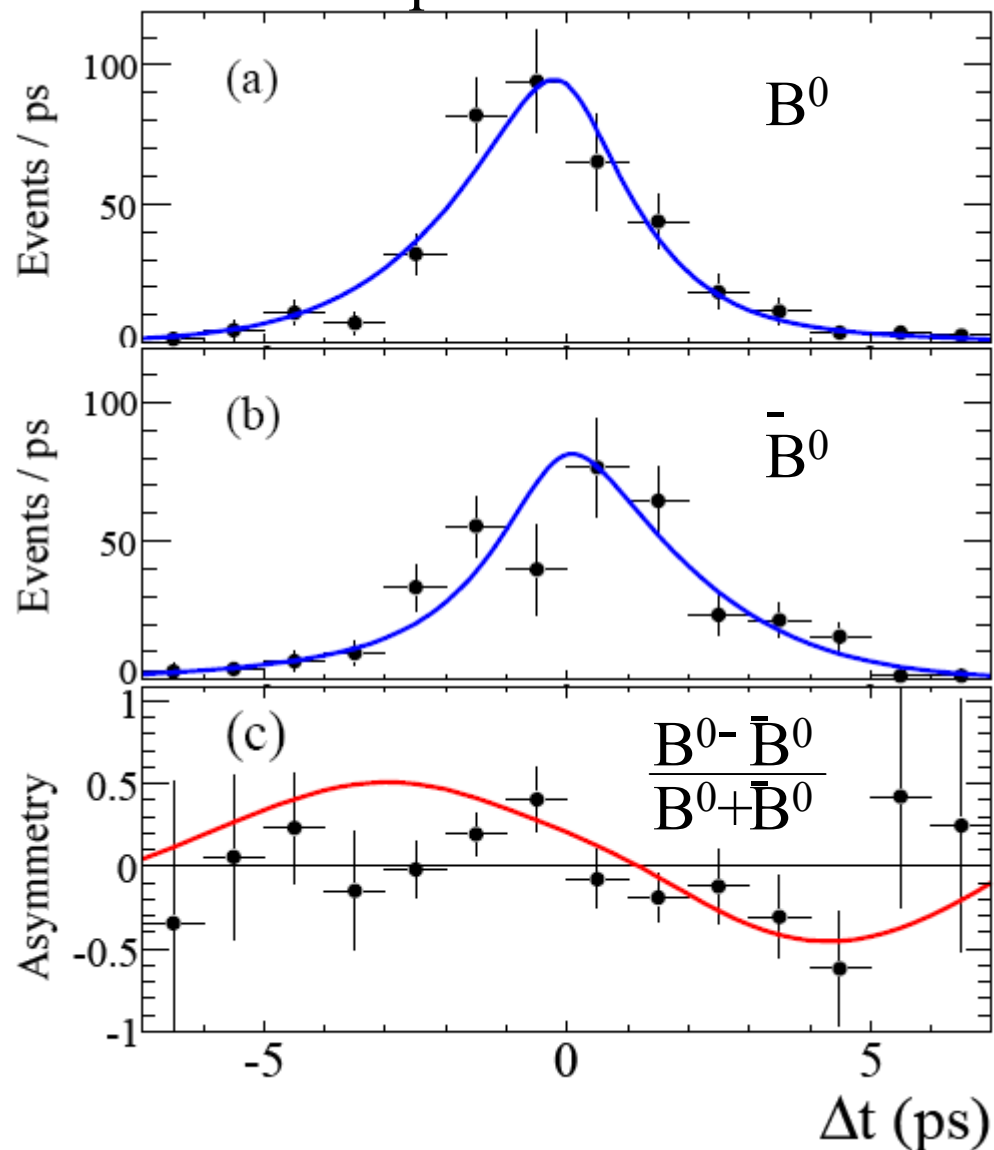
383 Millions $B\bar{B}$



$$\begin{aligned} \mathcal{A}_{K\pi} &= -0.107 \pm 0.018 \text{ (stat)}^{+0.007}_{-0.004} \text{ (syst)}, \\ S_{\pi\pi} &= -0.60 \pm 0.11 \text{ (stat)} \pm 0.03 \text{ (syst)}, \\ C_{\pi\pi} &= -0.21 \pm 0.09 \text{ (stat)} \pm 0.02 \text{ (syst)}. \end{aligned}$$

$S, C \neq 0 : 5, 4 \sigma$ direct CP violation

hep-ex 0703016



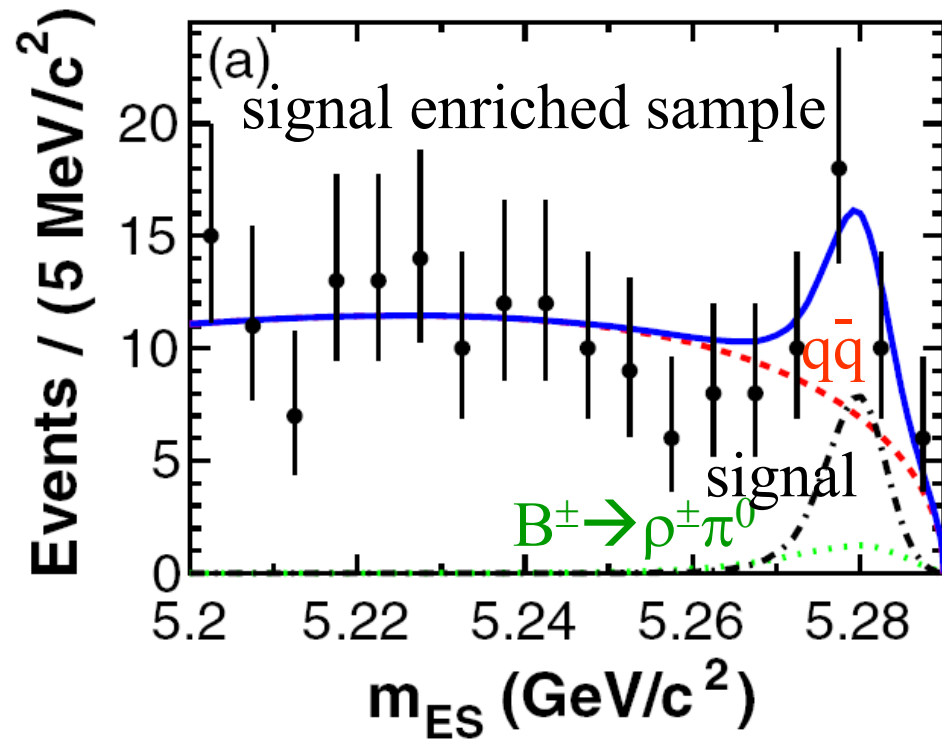
$$B^0 \rightarrow \pi^0 \pi^0$$

$227 \cdot 10^6$ BB

$$\text{BR} = (1.17 \pm 0.32 \pm 0.10) 10^{-6}$$

$$C_{00} = -0.12 \pm 0.56 \pm 0.06$$

$61 \pm 17 \pm 5$ signal, 5.0σ

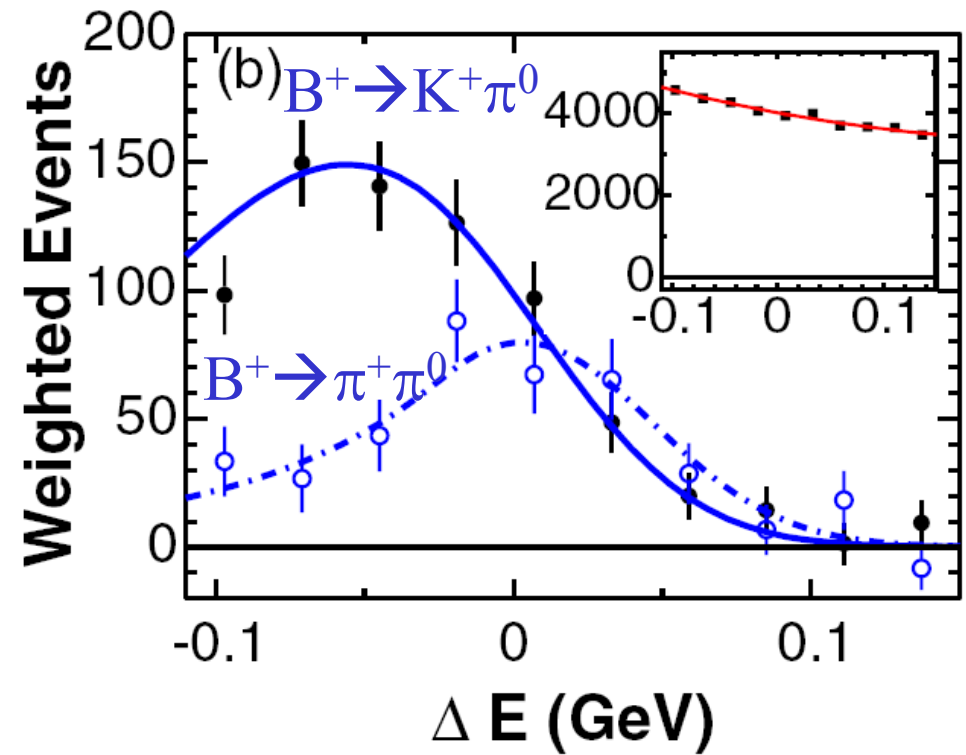


$$B^+ \rightarrow \pi^+ \pi^0$$

$$\text{BR} = (5.8 \pm 0.6 \pm 0.4) 10^{-6}$$

$$a_{CP} = -0.01 \pm 0.10 \pm 0.02$$

379 ± 41 signal



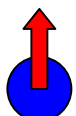
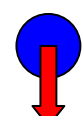
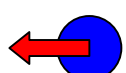
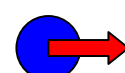
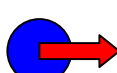
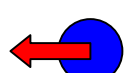
B → ρρ

π: J=0 (S)
ρ: J=1 (V)

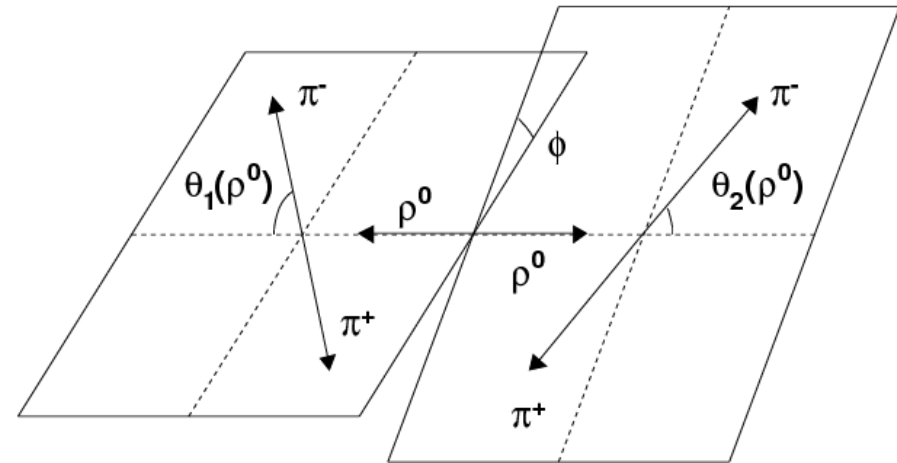
ρ: J=1 → J=0, 1, 2

ρ⁺ρ⁻ more difficult:

- 2 π⁰ in final state (→résolution **vertex** dégradé, + de SxF)
 - **wide ρ resonance** → more background
 - 3 **polarization** states w/ **different CP eigenvalues**
- separate contrib to avoid dilution

ρ ⁺	ρ ⁻		
		A ₀ =H ₀ (long)	CP=1
		A =(H ⁺ +H ⁻)/√2	CP=1
		A _⊥ =(H ⁺ -H ⁻)/√2	CP=-1

$$\frac{1}{\Gamma} \frac{d^2\Gamma}{d \cos \theta_1 d \cos \theta_2} = \frac{9}{4} \left[\cos^2 \theta_1 \cos^2 \theta_2 f_L + \frac{1}{4} \sin^2 \theta_1 \sin^2 \theta_2 (1 - f_L) \right]$$



eventually **best mode**:

- BR~6 x those from B → ππ
- Penguin pollution much small/B → ππ
- f_L~almost 100 % (pure CP-even state)

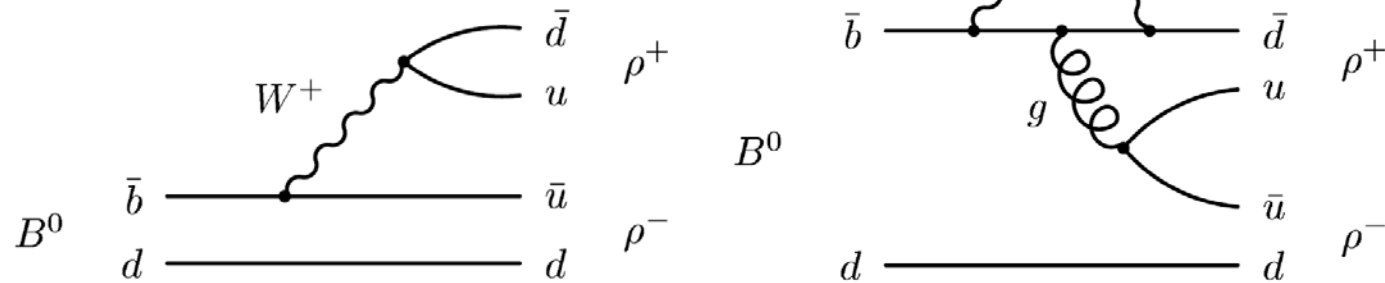
$B^0 \rightarrow \rho^+ \rho^-$

hep-ex/0607098

347 10^6 BB, 316 fb^{-1}

615 ± 57 events

Bevan, George, Graham, Yèche

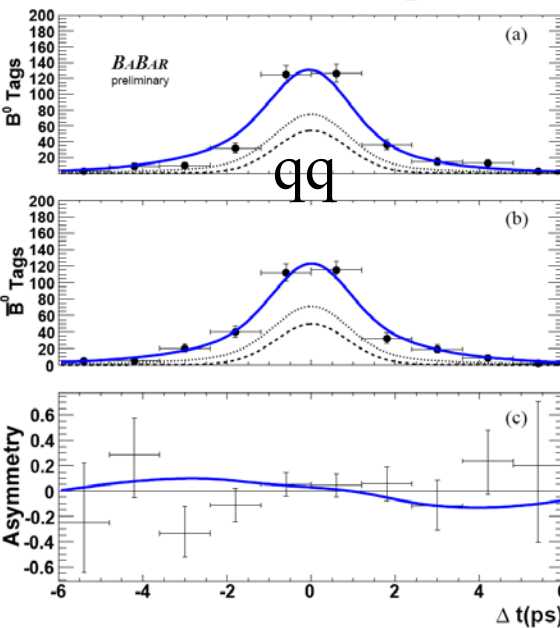


$$\mathcal{B}(B^0 \rightarrow \rho^+ \rho^-) = (23.5 \pm 2.2(\text{stat}) \pm 4.1(\text{syst})) \times 10^{-6},$$

$$f_L = 0.977 \pm 0.024(\text{stat})^{+0.015}_{-0.013}(\text{syst}),$$

$$S_{\text{long}} = -0.19 \pm 0.21(\text{stat})^{+0.05}_{-0.07}(\text{syst}),$$

$$C_{\text{long}} = -0.07 \pm 0.15(\text{stat}) \pm 0.06(\text{syst}).$$



$$\alpha = [74, 117]^\circ \text{ at 68\% CL}$$

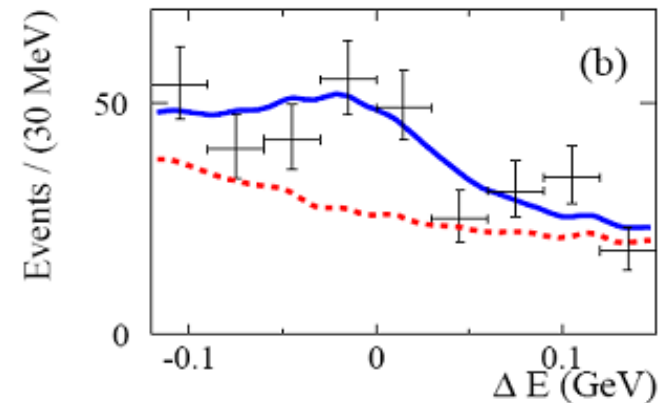
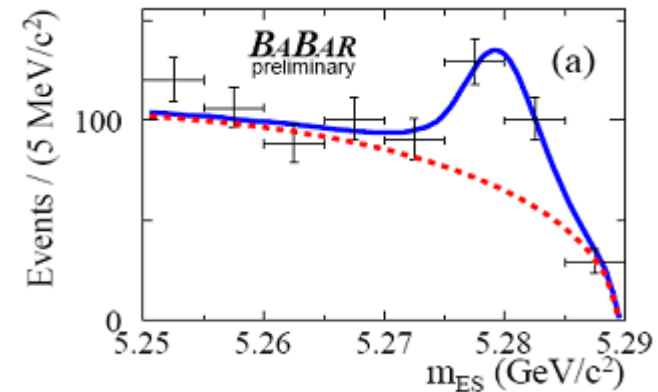
Dominant systematic: SxF

no CP violation

1 ab^{-1} projection:

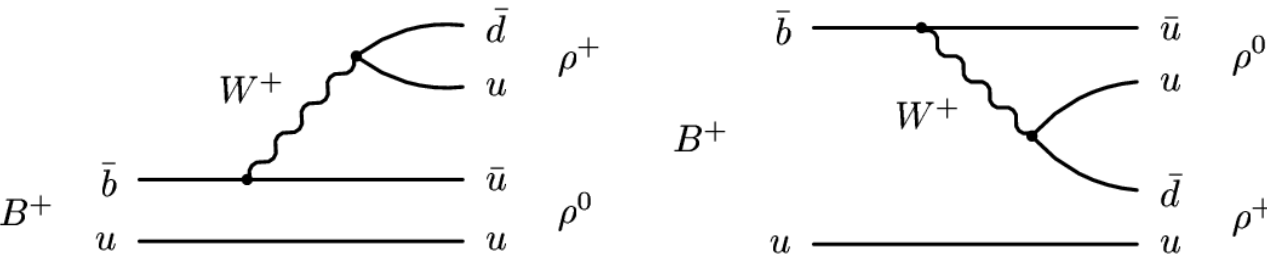
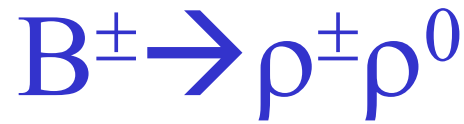
$f_L \pm 0.014 \pm 0.011$ (statistically limited)

$\text{BF} \pm 1.3 \pm 3.8$ (systematically limited)



D. Hutchcroft, K. Schofield, G. Schott.

232 M $B\bar{B}$



Observables	Fitted value
$B^\pm \rightarrow \rho^\pm \rho^0$ yield	390 ± 49 events
Polarization f_L	0.897 ± 0.042
Charge asymmetry A_{CP}	-0.12 ± 0.13
$B^\pm \rightarrow \rho^\pm f_0$ yield	51 ± 30 events

$$\mathcal{B} = (16.8 \pm 2.2 \pm 2.3) \times 10^{-6}$$

$$A_{CP} = -0.12 \pm 0.13 \pm 0.10$$

$$f_L = 0.905 \pm 0.042^{+0.023}_{-0.027}$$

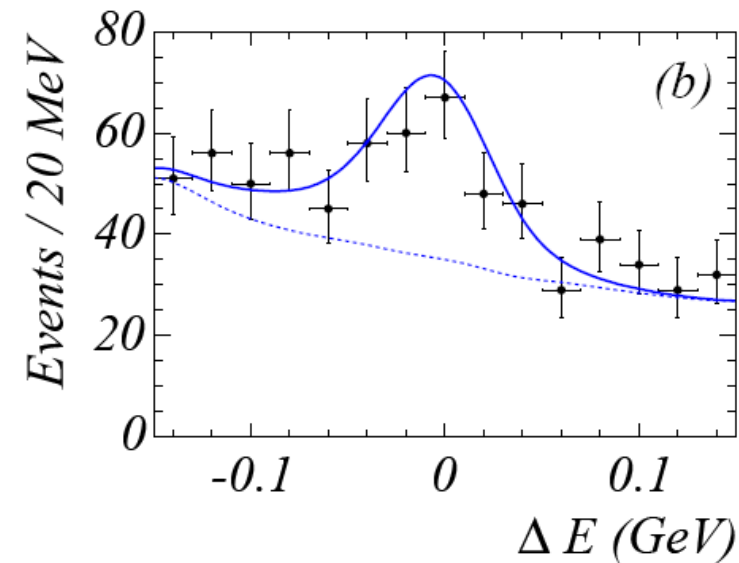
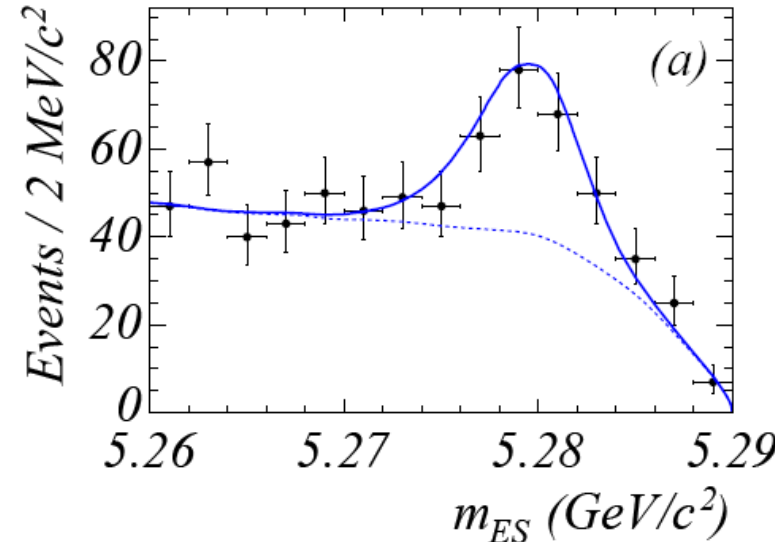
$$C = -0.12 \pm 0.13 \pm 0.10$$

Dominant systematic: fit bias, SxF

1 ab^{-1} projection:

$f_L \pm 0.002 \pm 0.018$ (statistically limited)

$\text{BF} \pm 1.0 \pm 2.0$ (systematically limited)



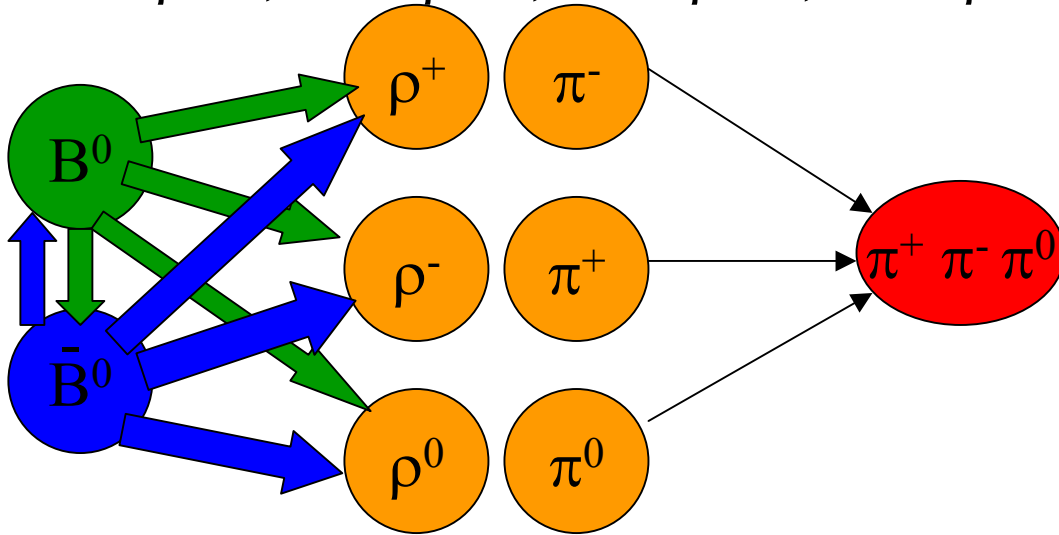
Dalitz analysis of $B^0 \rightarrow (\rho\pi)^0 \pi^+\pi^-\pi^0$

Snyder-Quinn, PRD 48, 2139 (1993)

dominant decay $B^0 \rightarrow \rho^+\pi^-$: not a CP eigenstate

isospin analysis not viable: too many amplitudes:

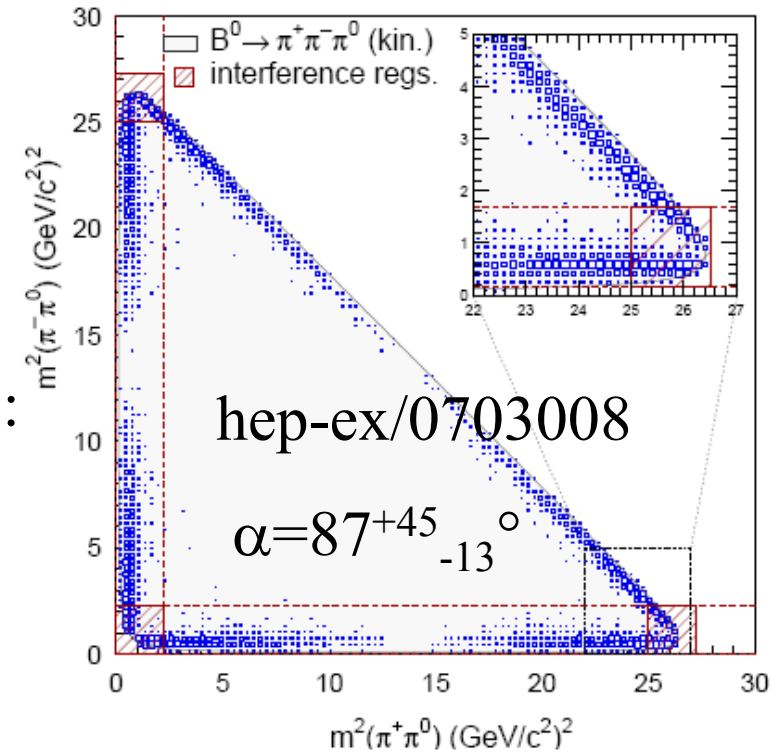
$B^0 \rightarrow \rho^+\pi^-$, $B^0 \rightarrow \rho^-\pi^+$, $B^0 \rightarrow \rho^0\pi^0$, $B^+ \rightarrow \rho^+\pi^0$, $B^+ \rightarrow \rho^0\pi^+$ and charge conjugates



better approach: Time-dependent Dalitz analysis:

- simultaneous fit of α , T, P amplitudes
- no ambiguity on α (unlike isospin analysis)

375 M BB



- $B^0/\bar{B}^0 \rightarrow \pi^+\pi^-$
- $B^0/\bar{B}^0 \rightarrow \rho^\pm\pi^\mp$
- $B^0/\bar{B}^0 \rightarrow \rho^+\rho^-$

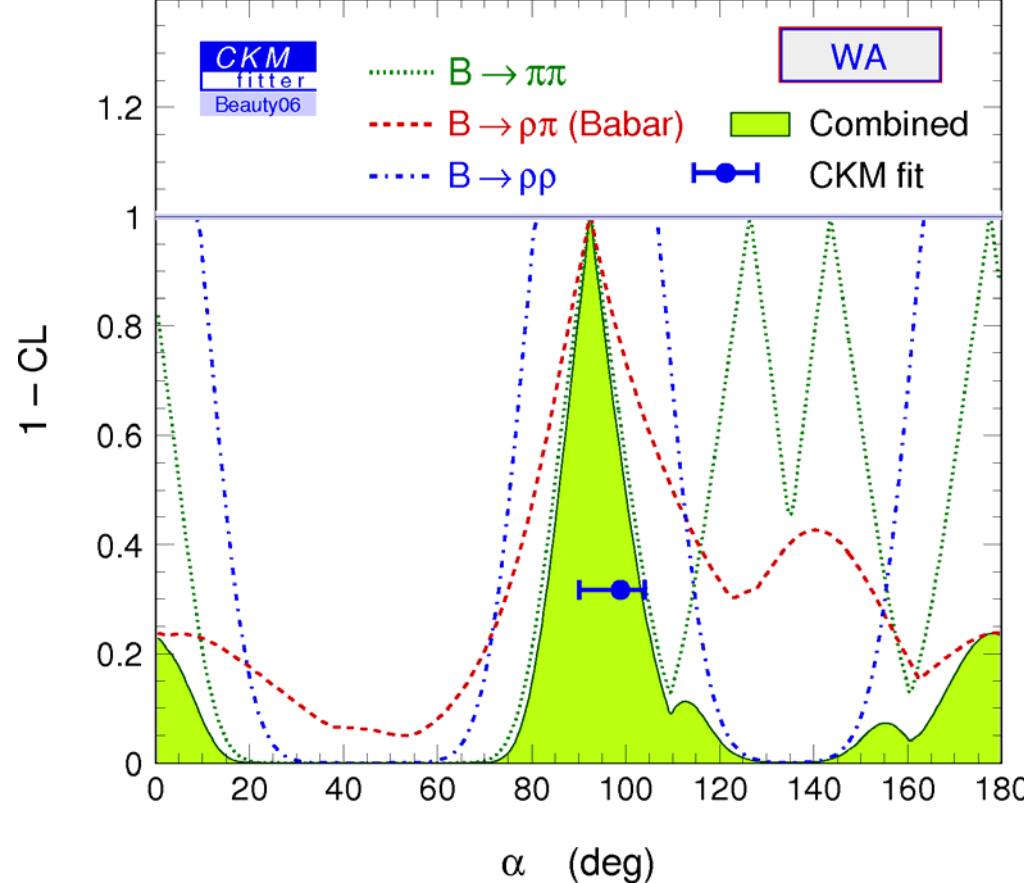
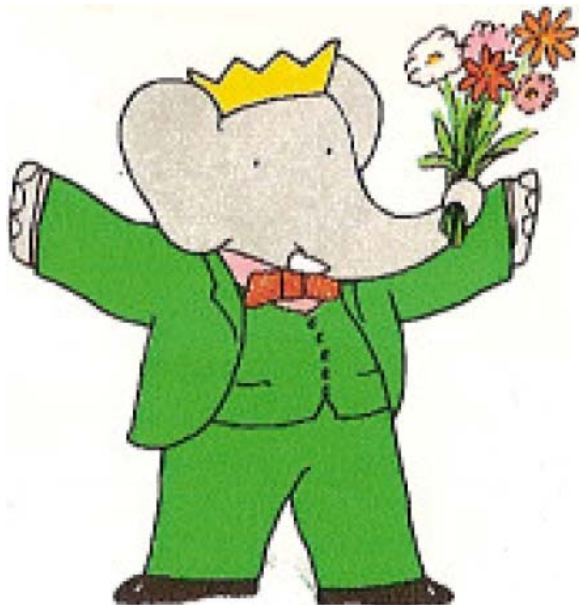
Beauty 2006

$$\alpha = 92.6^{+10.7}_{-9.3}^\circ$$

→ meilleure mesure simple

→ Élimine solutions miroirs

good agreement with global CKM fit



Babar is working fine

$\sim 400 \text{ fb}^{-1}$

2008: expected $\sim 1 \text{ ab}^{-1} = 1000 \text{ fb}^{-1}$

→ many physics potential (rare modes)

I Recherche $B^0 \rightarrow K^{*0} \rho^0 / f_0$, $B^+ \rightarrow K^{*0} \rho^+$

Travail dans Babar

run 1-4 $232 \cdot 10^6 B\bar{B}$

Etude modes $\underline{K}^* \rho$: $\overbrace{K^{*0} \rho^+, K^{*0} \rho^0 / f_0}^{\text{Saclay}}$, $\overbrace{K^{*+} \rho^0}^{\text{LBL}}$, $\overbrace{K^{*+} \rho^-}^{\text{South Carolina}}$

- modes désintégration dominants: $K^{*0} \rightarrow K^+ \pi^-$
 $\rho^+ \rightarrow \pi^0 \pi^+$
 $\rho^0 / f_0 \rightarrow \pi^+ \pi^-$
- modes rares: $BR = O(10^{-6})$

Motivations:

- test prédictions théoriques
- modes jamais observé ($K^{*0} \rho^0 / f_0$)
- contrainte sur α , γ : plus lointain

Mesurer

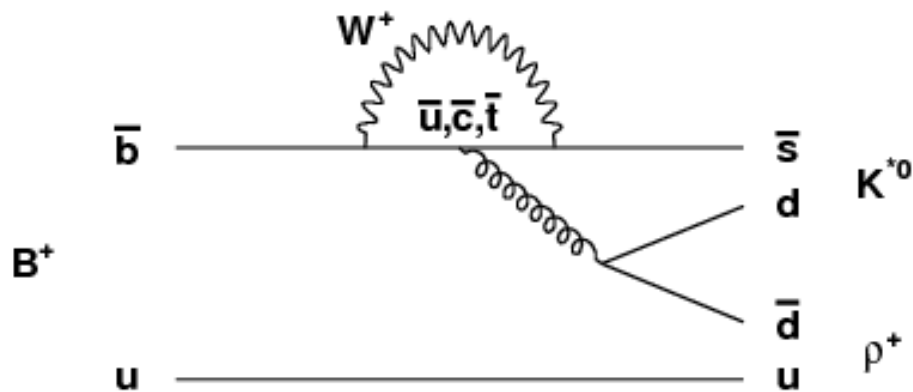
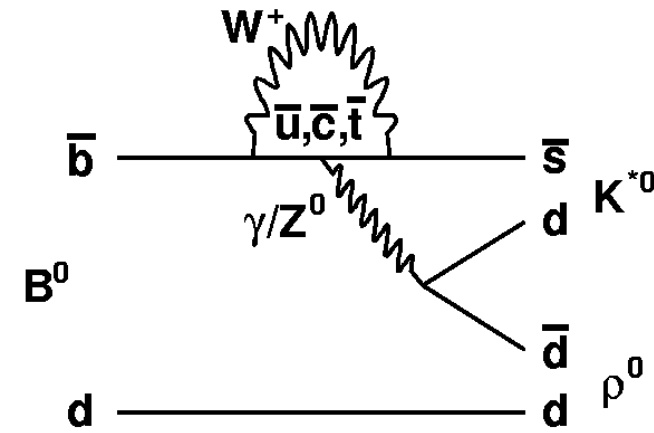
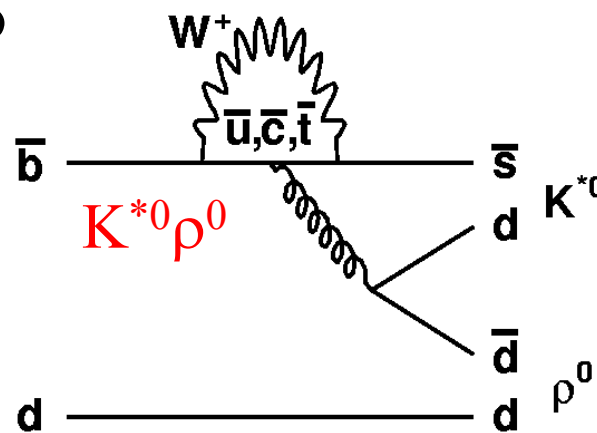
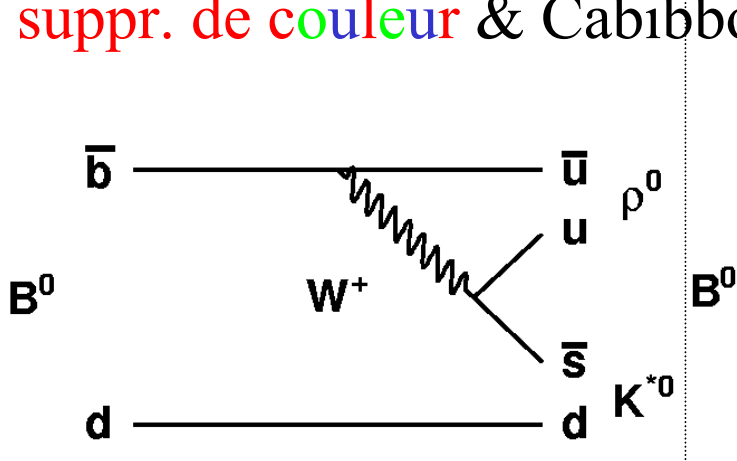
- rapport d'embranchement
- fraction de polarisation longitudinale f_L
- asymétrie directe de CP A_{CP}

Diagrammes de Feynman

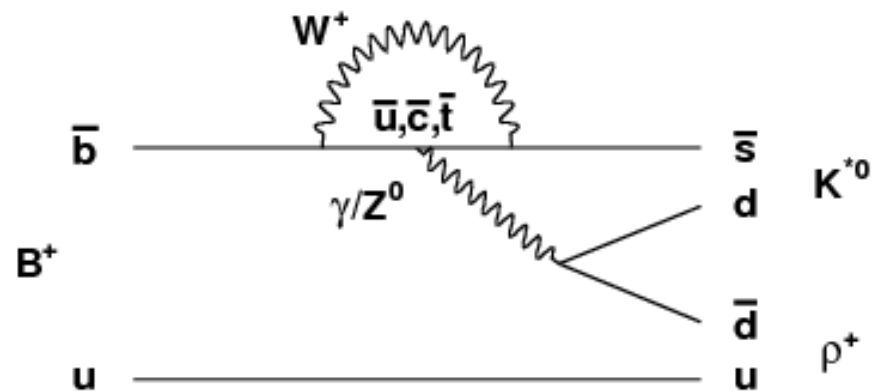


dominé par pingouin

suppr. de couleur & Cabibbo

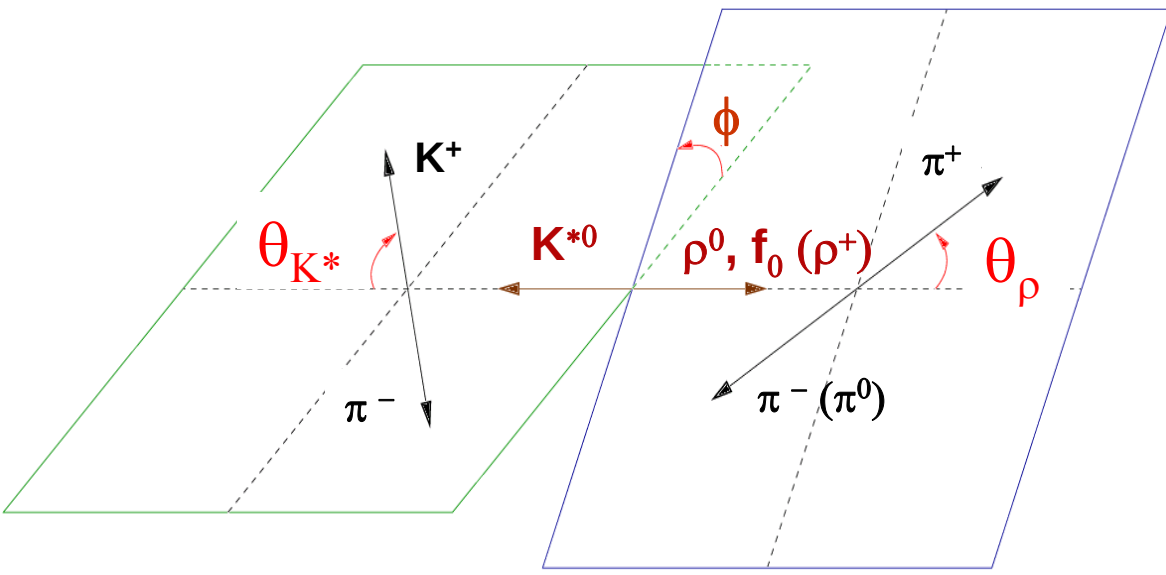


pingouin pur



Quelle polarisation pour modes VV ?

-distributions angulaires $\rightarrow$ polar. $\frac{dN}{d\cos\theta_1 d\cos\theta_2} \sim f_L \times (\cos\theta_1 \cos\theta_2)^2 + (1-f_L) \times \frac{1}{4} (\sin\theta_1 \sin\theta_2)^2$



Expérimentalement:

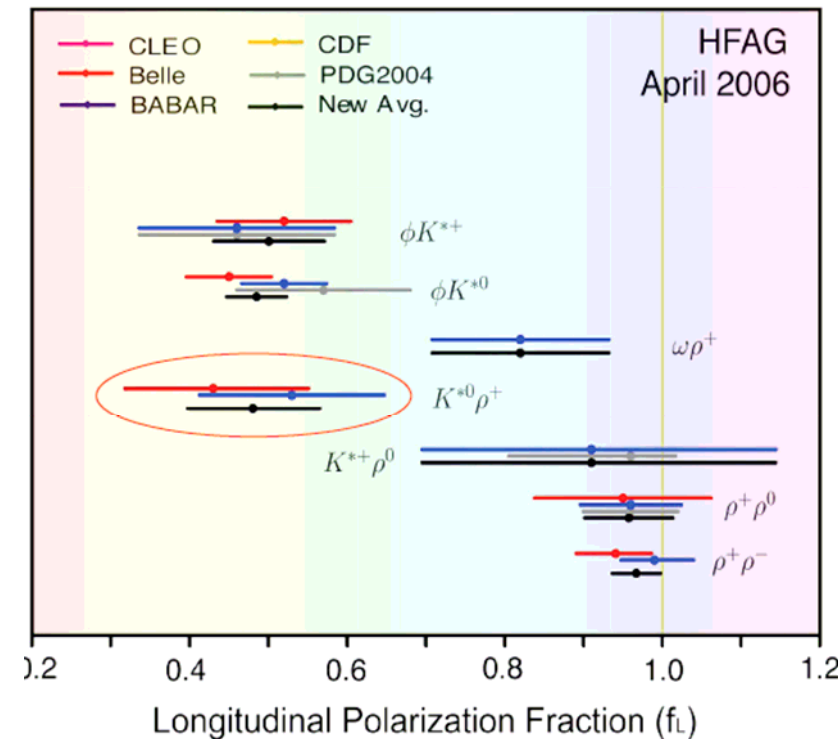
- dominé arbre : $f_L \sim 100\%$
- dominé pingouin: $f_L \sim 50\%$

Symétrie SU(3) $\rightarrow m_u \sim m_d \sim m_s$

$\rho \sim (u\bar{u} - d\bar{d})$ $\phi = c_1(u\bar{u} + d\bar{d}) + c_2 S\bar{S}$

$K^{*0}\phi: f_L = 0.48 \pm 0.04$

Polarizations of Charmless Decays



Bruit de fond

Signal: $K^{*0} \rho^0 / f^0(980)$
 $(K^+ \pi^-) (\pi^+ \pi^-)$

~ 200

- Continuum ~ 40000
 $(e^- e^+ \rightarrow u, d, s, c)$

- B bruit de fond **non résonant** ~ 600

- bruit de fond **réductible** ~ 7700

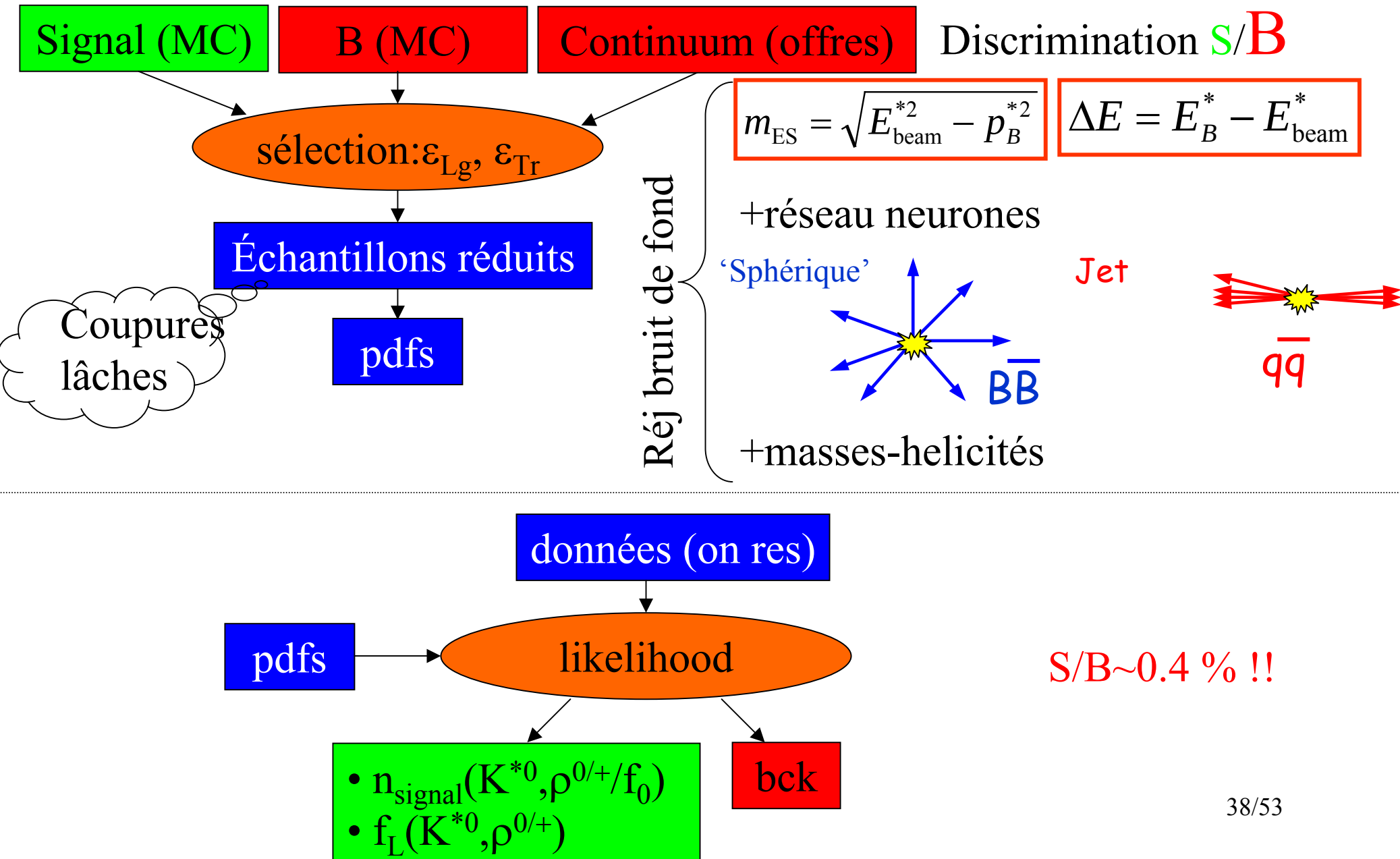
• $K^+ \pi^- \pi^+ \pi^-$	
• K^{*0}	$\pi^+ \pi^-$
$\hookrightarrow K^+ \pi^-$	
• $K^+ \pi^-$	ρ^0
	$\hookrightarrow \pi^+ \pi^-$
• K^{**+}	π^-
$\hookrightarrow K^+ \pi^- \pi^+$	
• K^{*0}	$f_0(1370)$
$\hookrightarrow K^+ \pi^-$	$\hookrightarrow \pi^+ \pi^-$
• $K^+ \pi^-$	$f_0(980)$
	$\hookrightarrow \pi^+ \pi^-$
• $K^+ \pi^-$	$f_0(1370)$
	$\hookrightarrow \pi^+ \pi^-$

particules finales $\neq$
 imitant certaines pdfs

charmé ~ 7000
 non charmé ~ 700

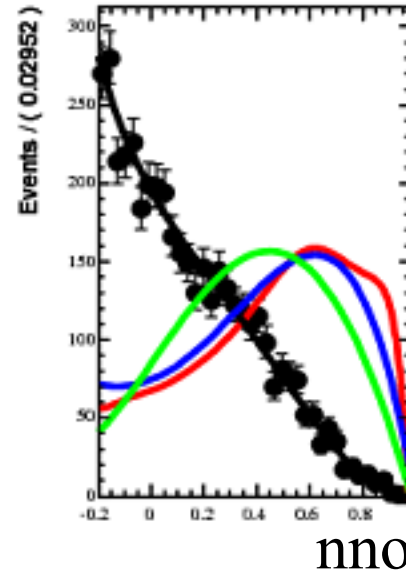
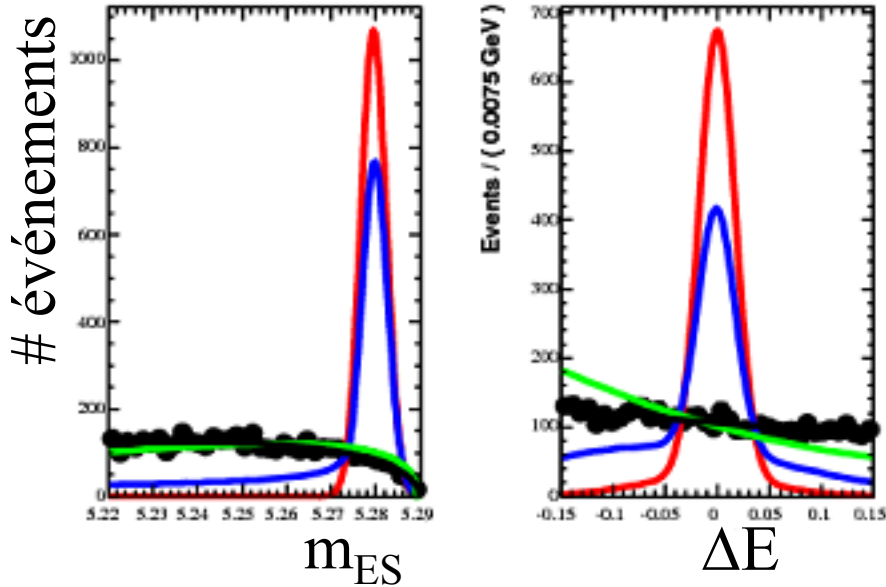
S/B $\sim 0.4 \%$

Extraction du rapport d'embranchement

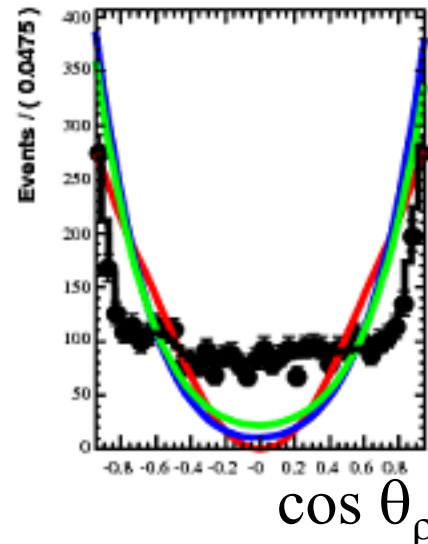
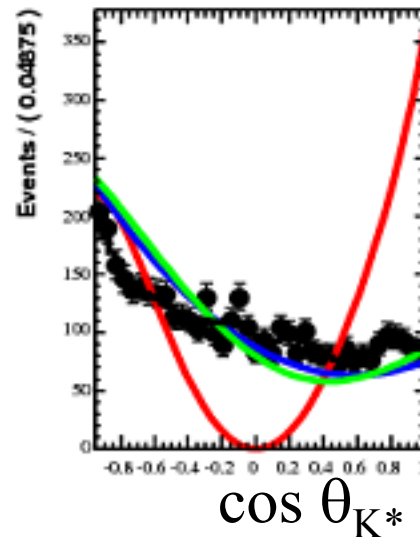
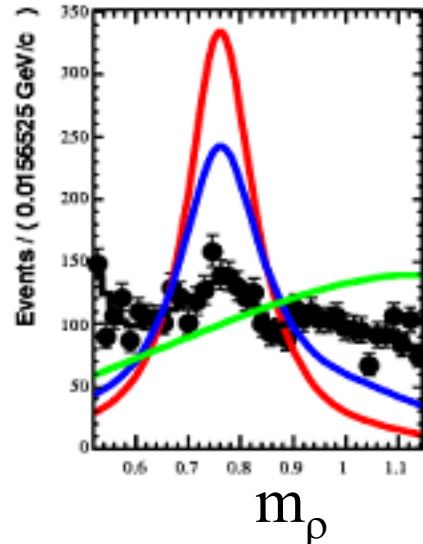
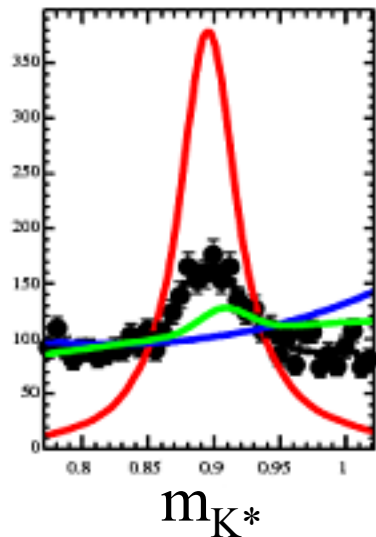


variables discriminantes

- m_{ES} , ΔE : S/(B, continuum), variables forme (nno): (S, B)/continuum
- Mass-helicity(K^*, ρ): signal- B non-resonant B



Signal (long.)~200
 $K^+\pi^-\rho^0$ ~200
 $B^+ \rightarrow \text{charm}$ ~4500
 Continuum ~40000



efficacités

- $5.22 < m_{ES} < 5.29$ GeV
- $-0.15 < \Delta E < 0.15$
- $-0.2 < n_{no} < 1$
- $0.7711 < m_V(K^*0) < 1.0211$ GeV
- $0.52 < m_V(\rho^0) < 1.1461$ GeV
- $-0.95 < \cos \theta(K^*) < 1$
- $-0.95 < \cos \theta(\rho^0) < 0.95$

	$K^{*0} \rho^0$ analysis	$K^{*0} \rho^+$ analysis
Longitudinal Signal Efficiency (SxF included)	17.3%	10.6%
Transverse Signal Efficiency (SxF included)	27.0%	17.9%

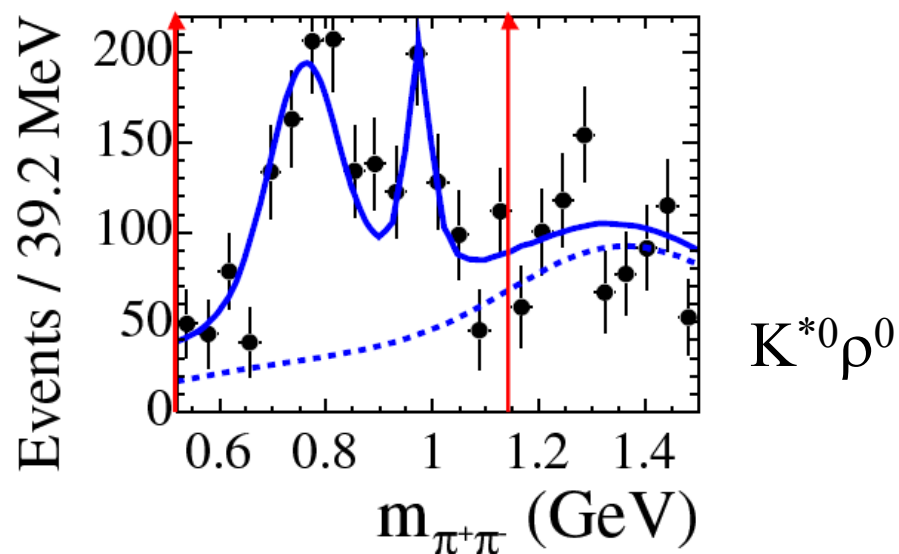
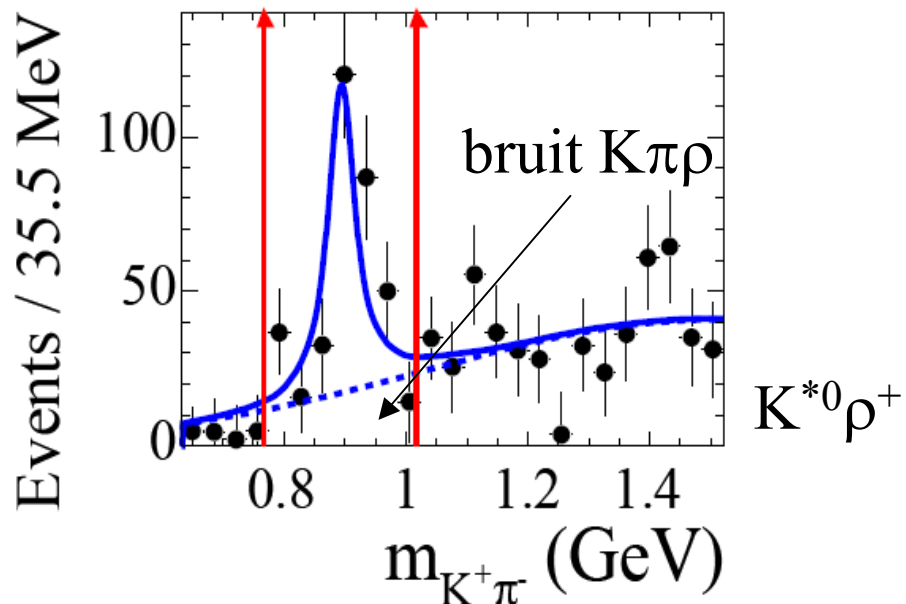
longitudinal signal

Transverse signal

	Global Self-X-Feed rate	Fraction of true K^{*0}	Fraction of true $\rho^{(0,+)}$	Global Self-X-Feed rate	Fraction of true K^{*0}	Fraction of true $\rho^{(0,+)}$
$K^{*0} \rho^0$	21.9%	93.6%	82.3%	6.6%	97.3%	95.3%
$K^{*0} \rho^+$	23.4 %	95.5 %	79.7 %	12.3 %	98.4 %	89.1 %

Systematiques

dominantes: bck non résonants, forme pdfs



SYSTEMATICS for $K^{*0}\rho^+$

source	ΔBR
π^0 reco	3.0%
Track reco	3.9%
B counting	1.1%
Sum efficiency	5.0%

Source	ΔBR (10^{-6})	ΔfL
Efficiency	± 0.48	± 0.000
PID	± 0.10	± 0.002
$\epsilon_{Lg}/\epsilon_{Tr}$ ($\pm 3.5\%$)	± 0.00	± 0.009
SXF rates	± 0.05	± 0.001
PDFs Shapes	± 0.71	± 0.029
Non resonant Backgrounds	+ 1.16 - 1.21	+ 0.027 - 0.030
Nb of B bckgs	± 0.17	± 0.008
TOTAL	+1.46 -1.50	+0.041 -0.043
Rounded up	(± 1.5)	(± 0.04)

Résultats

(Phys. Rev. Lett. **97**, 201801 (2006))

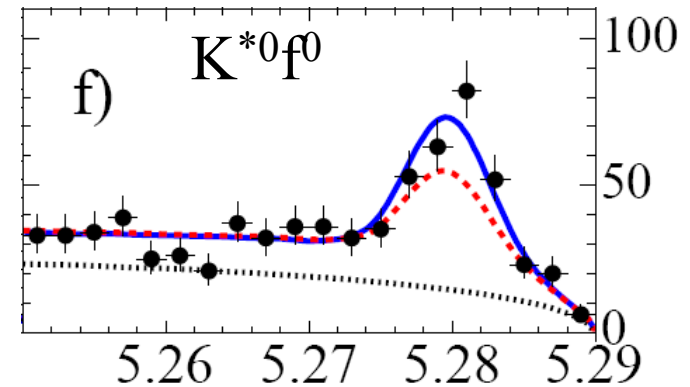
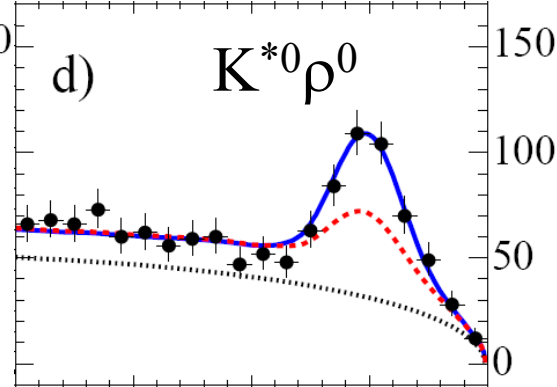
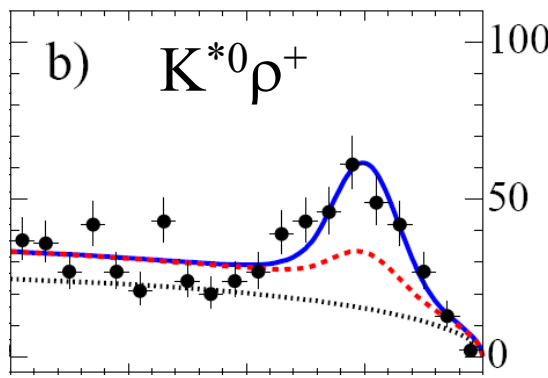
- $\text{Br}(K^{*0}\rho^0)=[5.6\pm0.9(\text{stat})\pm1.3(\text{syst})] 10^{-6}$
- $f_L(K^{*0}\rho^0)=0.57\pm0.09(\text{stat})\pm0.08(\text{syst})$
- $\text{Br}(K^{*0}f_0)=[2.6\pm0.6(\text{stat})\pm0.9(\text{syst})] 10^{-6}$
- $\text{Br}(K^{*0}\rho^+)=[9.6\pm1.7(\text{stat})\pm1.5(\text{syst})] 10^{-6}$
- $f_L(K^{*0}\rho^+)=0.52\pm0.10(\text{stat})\pm0.04(\text{syst})$

→ 5.3 σ

→ 3.5 σ

→ 7.1 σ

$\text{Br}(H_{120} \rightarrow \gamma\gamma)$ au LHC:
comparaison: $2 \cdot 10^{-3}$

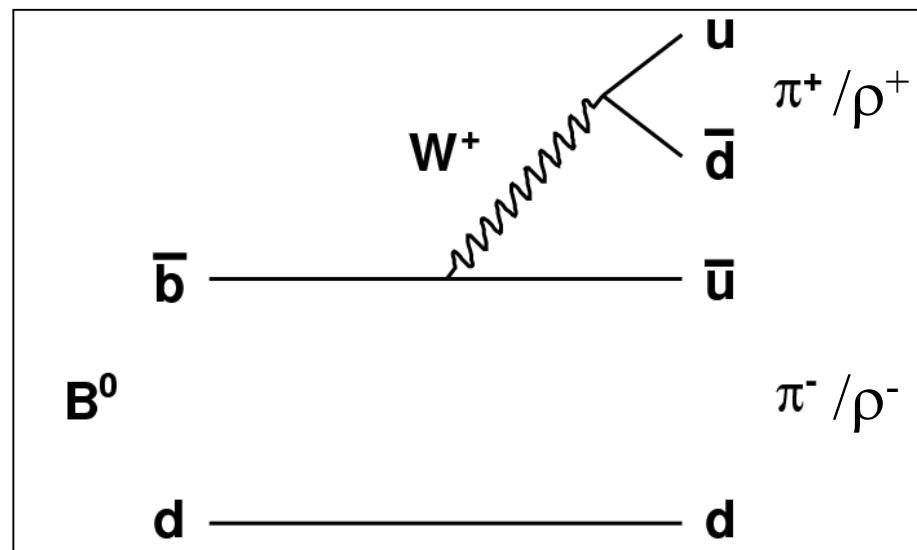


$$A_{CP} \equiv \frac{N(\bar{B}^0 \rightarrow K^{*0}\rho^0) - N(B^0 \rightarrow \bar{K}^{*0}\rho^0)}{N(\bar{B}^0 \rightarrow K^{*0}\rho^0) + N(B^0 \rightarrow \bar{K}^{*0}\rho^0)}$$

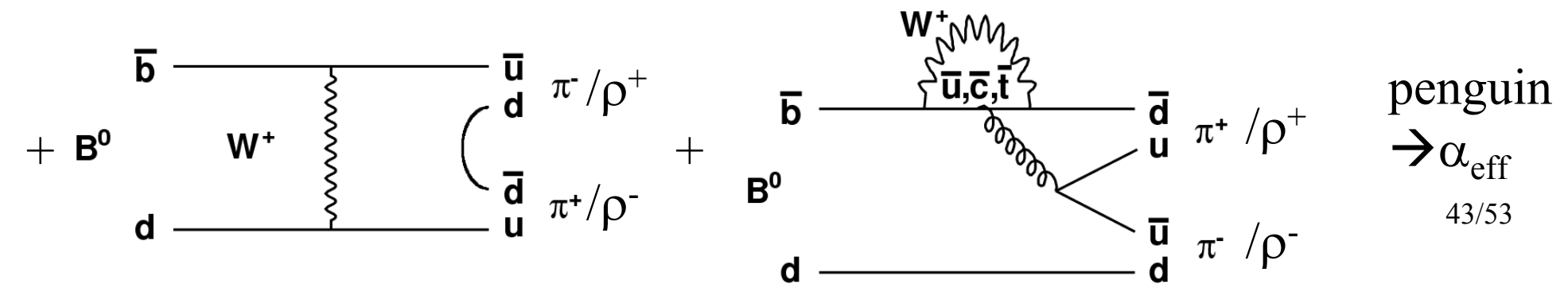
- $a_{CP}(K^{*0}\rho^0)=[0.09\pm0.19(\text{stat})\pm0.02(\text{syst})]$
- $a_{CP}(K^{*0}f_0)=[-0.17\pm0.28(\text{stat})\pm0.02(\text{syst})]$
- $a_{CP}(K^{*0}\rho^+)=[-0.01\pm0.16(\text{stat})\pm0.02(\text{syst})]$

- $K^{*0}\rho^0$ pour la 1^{ère} fois, rapport $K^{*0}\rho^+/K^{*0}\rho^0$ compatible avec isospin
- $f_L \sim$ compatible $K^{*0}\phi$
- Asymétries faibles

Extraction of α $\alpha = \arg \left(-\frac{V_{td}V_{tb}^*}{V_{ud}V_{ub}^*} \right)$



- $B^0/\bar{B}^0 \rightarrow \pi^+\pi^-$
- $B^0/\bar{B}^0 \rightarrow \rho^\pm\pi^\mp$
- $B^0/\bar{B}^0 \rightarrow \rho^+\rho^-$



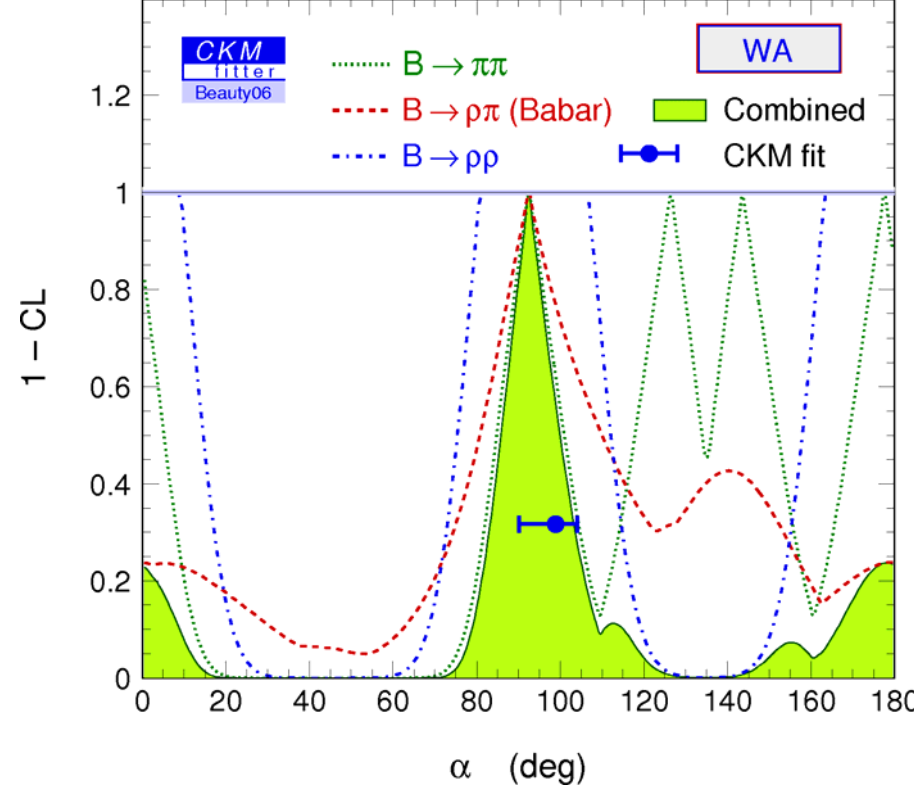
$$B^0 \rightarrow \rho^+ \rho^-$$

Mesurer α :

- $B^0/\bar{B}^0 \rightarrow \pi^+ \pi^-$
- $B^0/\bar{B}^0 \rightarrow \rho^\pm \pi^\mp$
- $B^0/\bar{B}^0 \rightarrow \rho^+ \rho^-$

Beauty 2006

$$\alpha = 92.6^{+10.7}_{-9.3}^\circ$$



$\rightarrow \rho^+ \rho^-$

Mélange B^0 - $\bar{B}^0$

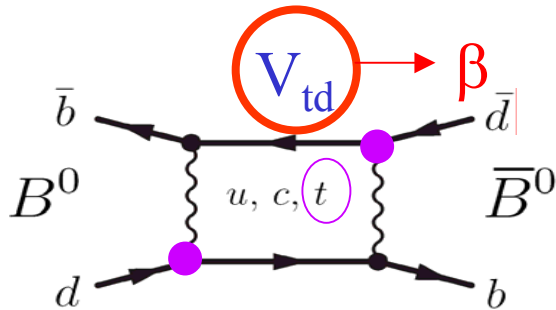


Diagramme arbre

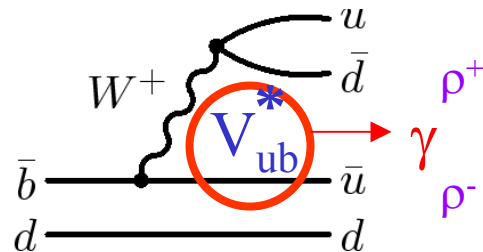
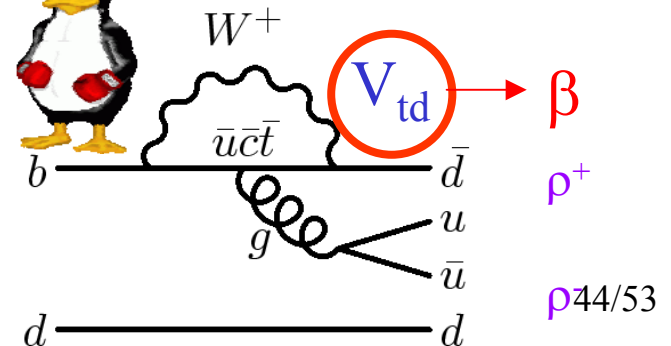


Diagramme pingouin

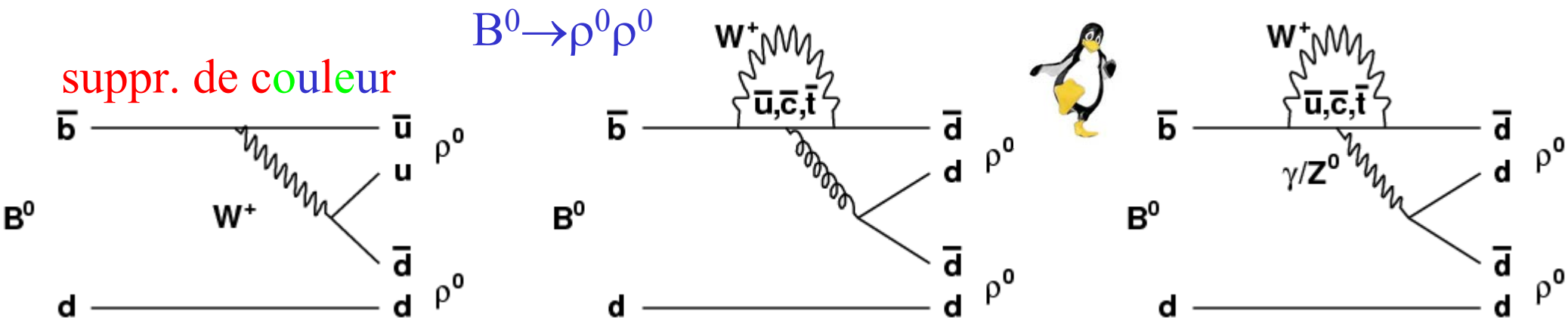
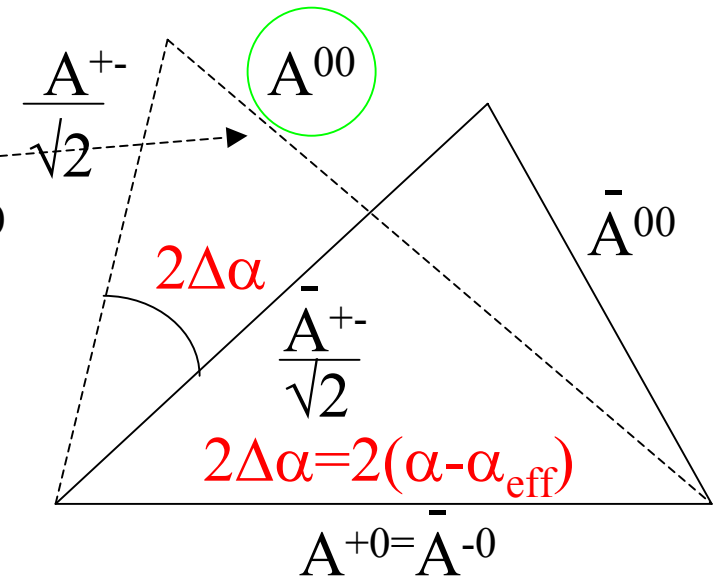


$\rho^{44/53}$

$B^0 \rightarrow \rho^0 \rho^0$

pingouin important $\rightarrow \alpha_{\text{eff}}$ mesuré
 solution, analyse d'isospin, mesure C et S de $\rho^0 \rho^0$

$$a_{CP}(t) = \boxed{C_f} \cos \Delta m t + \boxed{S_f} \sin \Delta m t$$



Background

S/B~0.15 %

Signal: $\rho^0 \rho^0$

$(\pi^+ \pi^-) (\pi^+ \pi^-)$

~100

- Continuum~58000

$(e^- e^+ \rightarrow u, d, s, c)$

- B dominant background~220

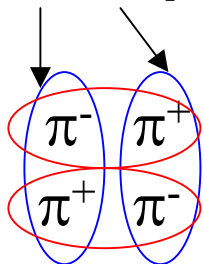
$\rho^0 f_0 \sim 20$
 $f_0 f_0 \sim 0$
 $a_1 \pi \sim 200$

Reducible background~3200

final particle $\neq$
 mimic pdfs
 charm~3000
 charmless~200

- $K^* 0 f_0$
- $K^* 0 \rho^0$ long
- $K^* 0 \rho^0$ trans
- $\eta' K$
- $a_1^0 \pi^+$
- $\rho^0 \pi^+$
- $\rho^0 \rho^+$ long
- yield fixed

$B \rightarrow \rho^0 \rho^0 \rightarrow$ symetrization for $B \rightarrow \rho^0 \rho^0, a_1^{+/-} \pi^{-/+}, \rho^0 f_0$



bckg: C ans S fixed to 0, $a_1 \pi$: $C_{\text{eff}}, S_{\text{eff}}$ fixed to last result

The maximum likelihood fit

Unbinned extended maximum likelihood fit

$$-\ln L = \sum_{tag\ cat\ i} \left(N_{sig} \epsilon_{tag_i}^{sig} \prod_{obs_j} PDF_{sig_j} + N_{cont} \epsilon_{tag_i}^{cont} \prod_{obs_j} PDF_{cont_j} + \sum_{B\ bck_k} N_B^k \epsilon_{tag_i}^{Bbck_k} \prod_{obs_j} PDF_{B\ bck_j}^k \right)$$

$$PDF_{signal} = f_L \left[(1 - Sx F_{Lg}) PDF_{Lg}^{pur} + Sx F_{Lg} PDF_{Lg}^{SxF} \right] + (1 - f_L) \left[(1 - Sx F_{Tr}) PDF_{Tr}^{pur} + Sx F_{Tr} PDF_{Tr}^{SxF} \right]$$

Symmetrization for appropriate backgrounds

$$PDF_{sym} = \frac{PDF(\pi_1^+ \pi_1^-, \pi_2^+ \pi_2^-) + PDF(\pi_1^+ \pi_2^-, \pi_1^- \pi_2^+)}{2}$$

Time decay distribution

$$F_{Q_{tag}}^{\rho^0 \rho^0}(\Delta t) \sim \frac{e^{-|\Delta t|/\tau}}{4\tau} \{ 1 - Q_{tag} \Delta \omega + Q_{tag} \mu (1 - 2\omega) + (Q_{tag} (1 - 2\omega) + \mu (1 - Q_{tag} \Delta \omega)) [S \sin(\Delta m_d \Delta t) - C \cos(\Delta m_d \Delta t)] \}$$

+1: B^0 , -1: $\bar{B}^0$

ω : mis-tagging frac: $(B^0 + \bar{B}^0)/2$

$\Delta \omega \neq$ of mis-tagging frac (B^0 ; $\bar{B}^0$)

$(\omega, \Delta \omega) \longrightarrow \begin{cases} \text{mistagging fraction } \underline{B^0} \\ \text{mistagging fraction } \bar{B^0} \end{cases}$

Efficacités et taux de mauvaise reconstruction

- $5.245 < m_{ES} < 5.29 \text{ GeV}$
- $-0.085 \text{ GeV} < \Delta E < 0.085 \text{ GeV}$
- $-2 < n_{no} < 2$
- $0 < |\cos \theta| < 0.98$
- $0.55 < m_V < 1.05 \text{ GeV}$

$\rho^0\rho^0$ Lg : Eff : $22.11 \pm 0.08 \%$

SxF: $17.6 \pm 0.07 \%$

$\rho^0\rho^0$ Tr : Eff : $27.28 \pm 0.08 \%$

SxF: $3.08 \pm 0.03 \%$

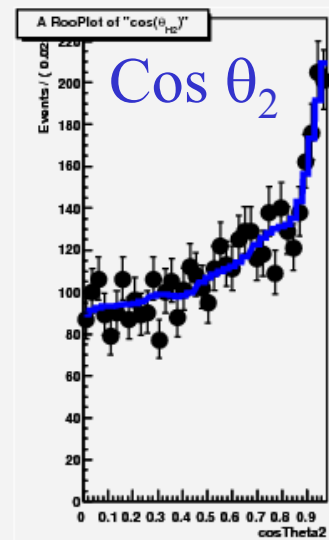
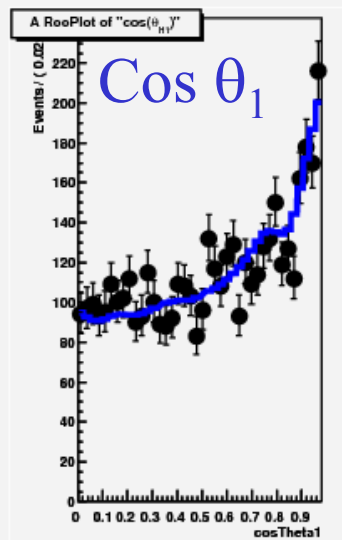
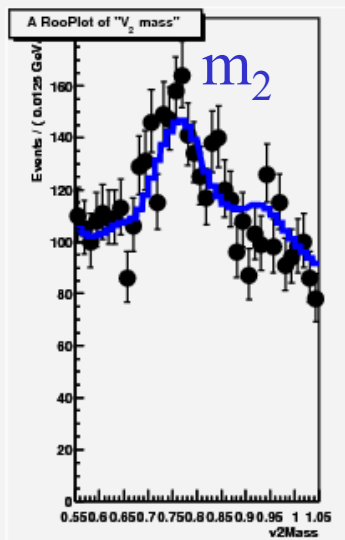
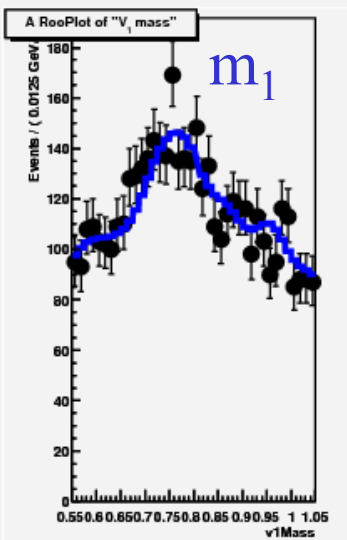
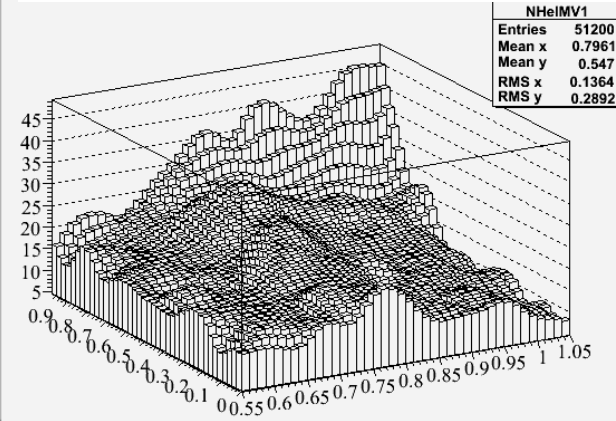
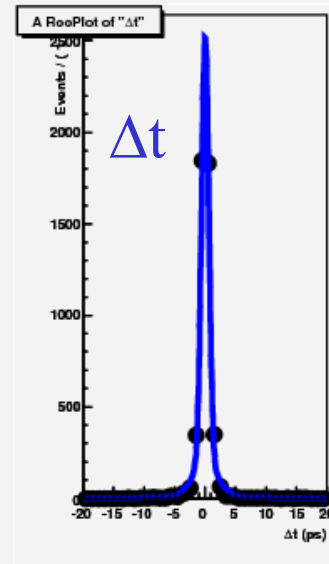
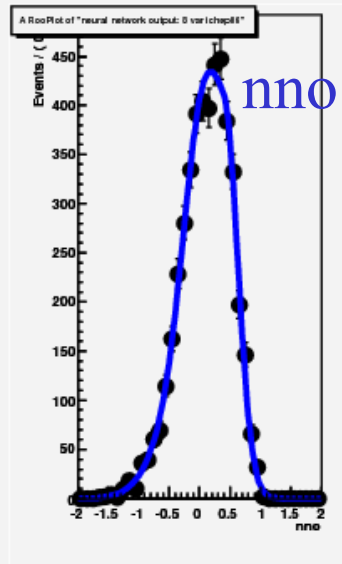
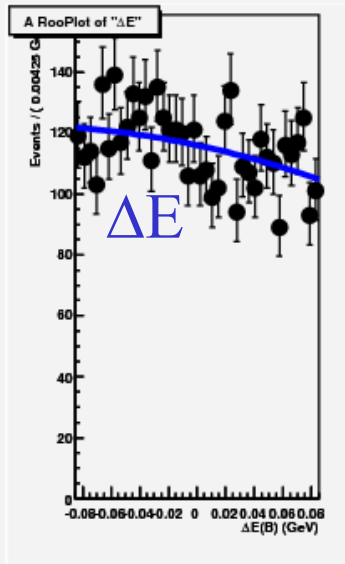
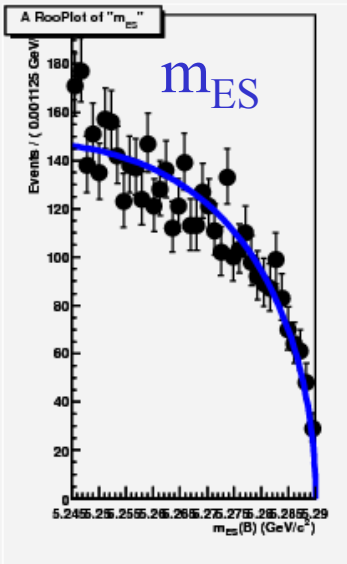
$\rho^0 f^0$: Eff: $24.71 \pm 0.02\%$, SxF: $12.78 \pm 0.09\%$

$f^0 f^0$: $27.19 \pm 0.08\%$, SxF: $7.95 \pm 0.05\%$

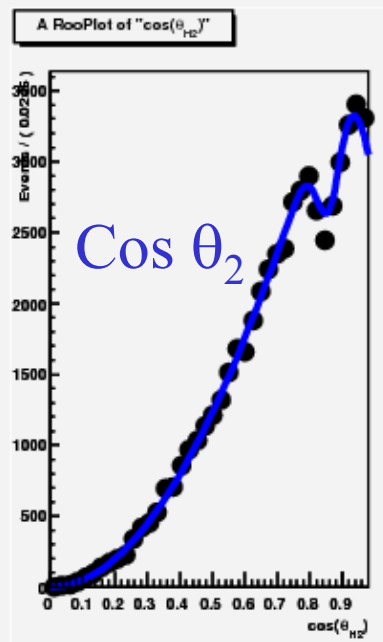
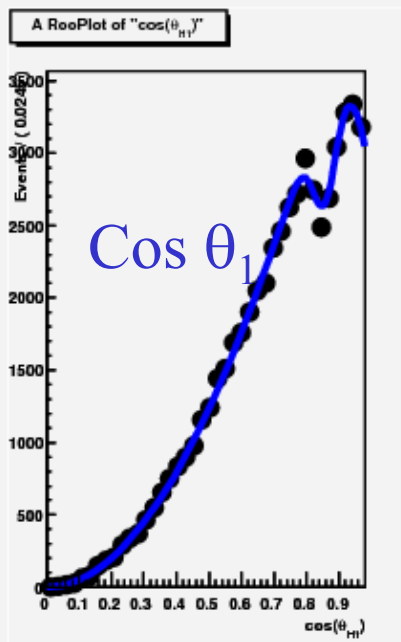
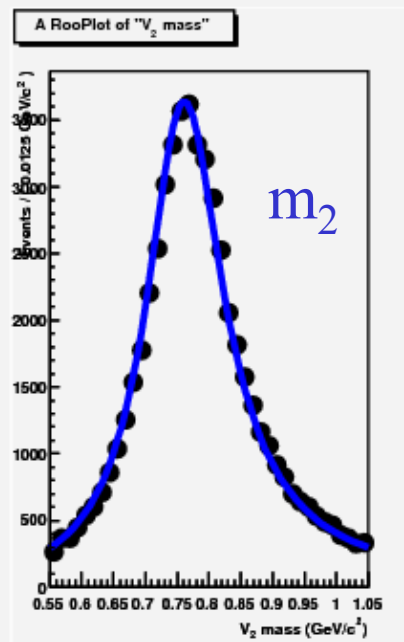
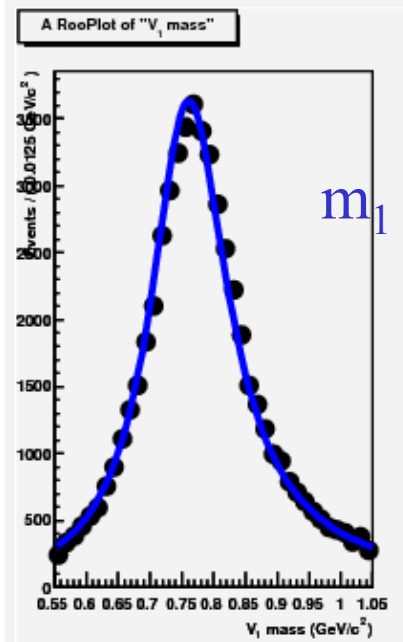
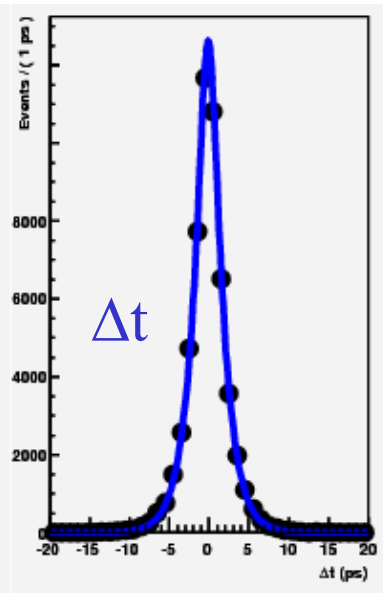
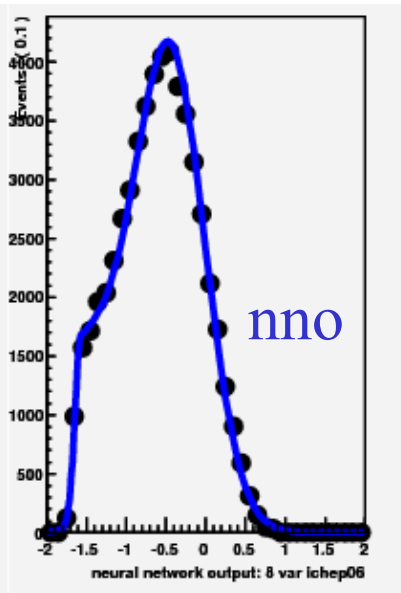
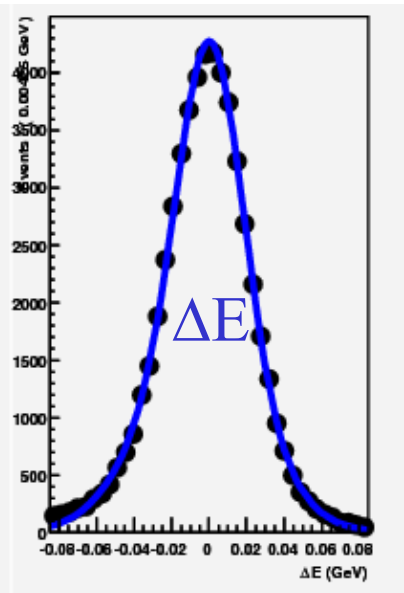
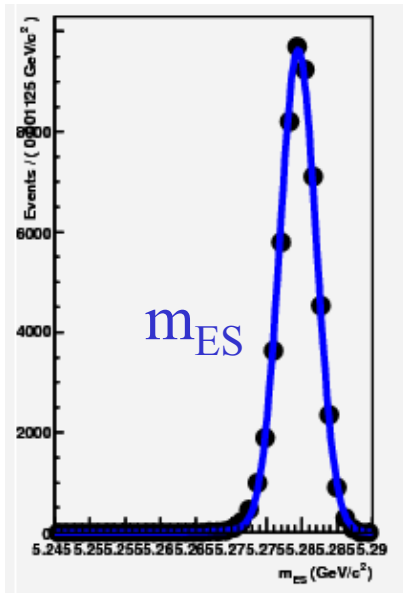
Pdfs for continuum

Mass-helicity:

- Use GSB from run1-5+offres
- Use a 2D parametrisation



Pdfs for pure signal Lg



Incertitudes

- B counting: $(383.634 \pm 2.211) \cdot 10^6$ BB $\rightarrow$ **1.1%** uncertainty on BR
- tracks: 1.3 % per track $\rightarrow$ 5.2 %

m_{ES} , ΔE (half)

variable	$\Delta N_{\rho^0 \rho^0}$	Δf_L	ΔS_L	ΔC_L	$\Delta N_{\rho^0 f_0}$	$\Delta N_{f_0 f_0}$
m_{ES}	-3.40	-0.01	-0.07	0.01	1.45	-0.06

SxF rate

variable	$\Delta N_{\rho^0 \rho^0}$	Δf_L	ΔS_L	ΔC_L	$\Delta N_{\rho^0 f_0}$	$\Delta N_{f_0 f_0}$
SxF	0.22	0.00	0.00	-0.00	-0.01	-0.00

+PDFs

+yields charmless

+efficacités tagging

+C et S dans $\rho^0 f^0$, $f^0 f^0$, $a1\pi$

+interférence $a1\pi$ (Loïc Estève, [nouveau thésard Saclay])

Résultats

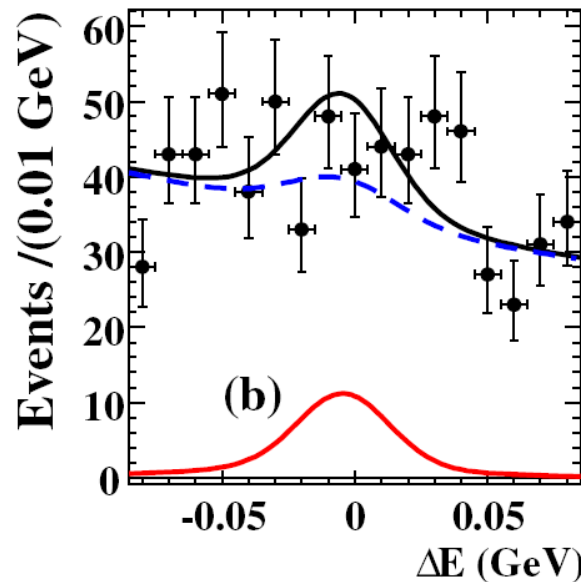
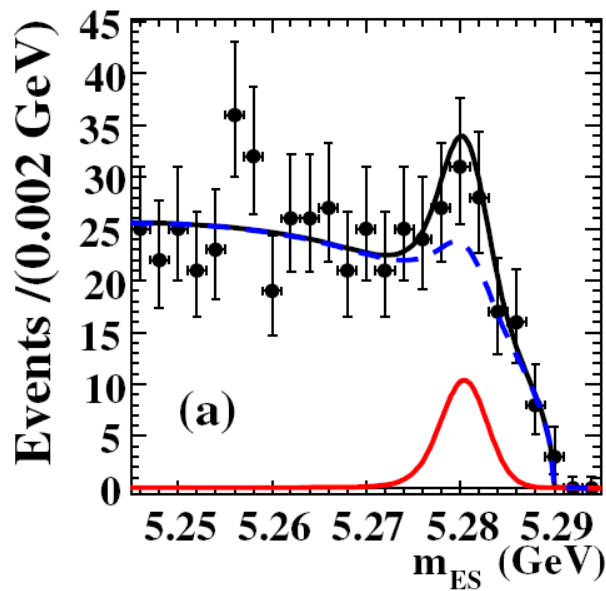
$384 \cdot 10^6 \text{ B}\bar{\text{B}}$

(Collaboration LBL, J. Hopkins, Saclay)

i) Analyse indépendante du temps

évidence ($3,5 \sigma$), pour la 1^{ère} fois
 $\text{Br}(\rho^0 \rho^0) = (1,07 \pm 0,33 \pm 0,19) \times 10^{-6}$
 $f_L = 0,87 \pm 0,13 \pm 0,04$
 $|\Delta\alpha| < 18^\circ (68\% \text{ CL})$
 $100 \pm 32 \pm 17 \rho^0 \rho^0$

PRL 98, 111801



dominant systematic:
Interference w/ $a_1 \pi$

Intérêt de mesurer C et S

Analyse=f(t)

t: diff temps désint $B^0/\bar{B}^0$

en cours

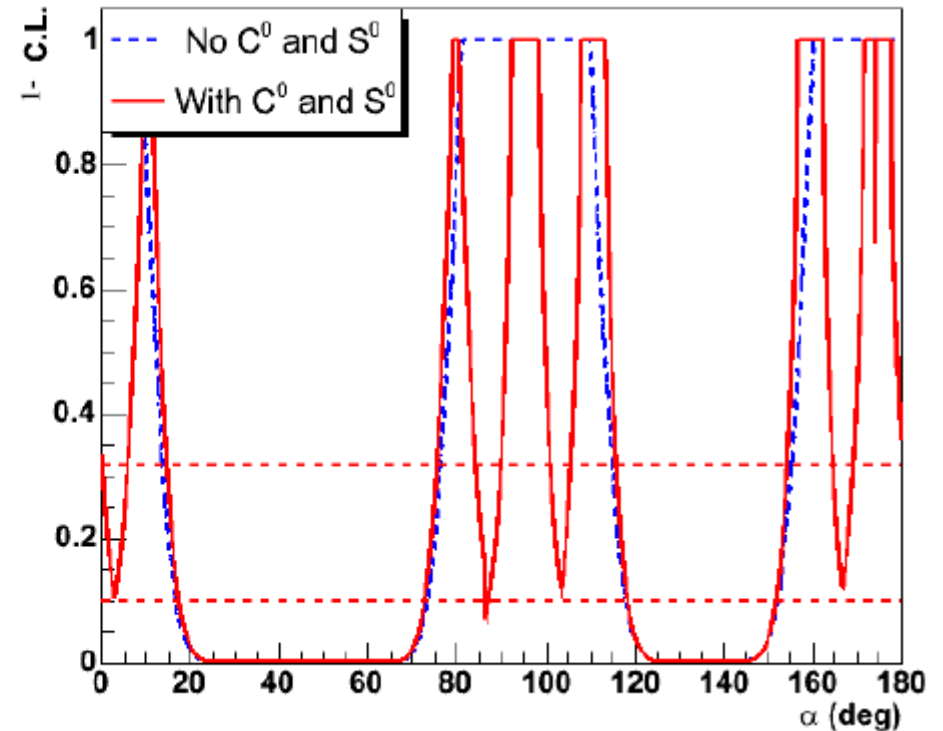
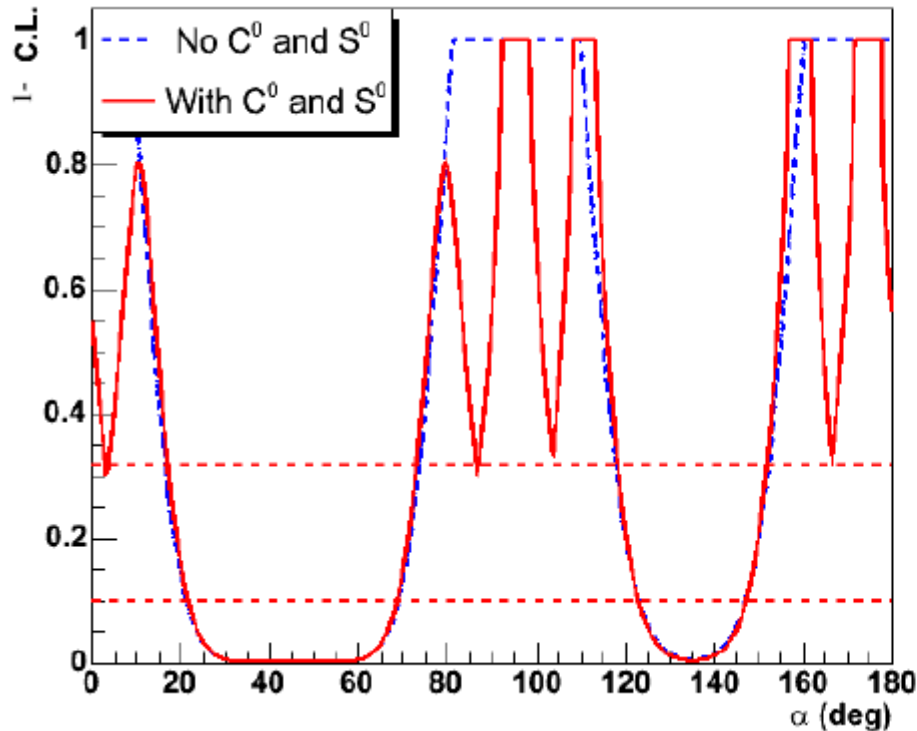
$$S=(0,0)\pm0,7\pm0,06$$

$$C=(0,0)\pm0,6\pm0,06$$

$$S=(0,0)\pm0,42\pm0,05$$

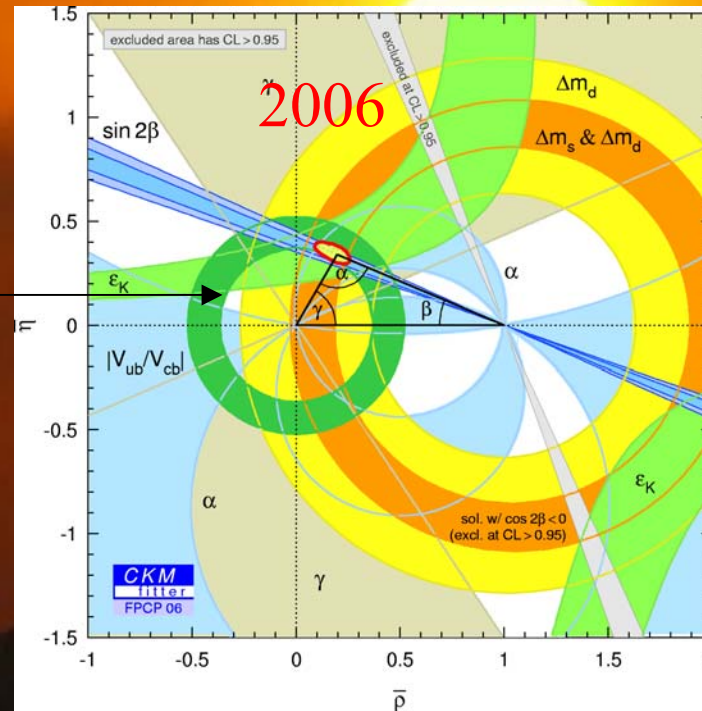
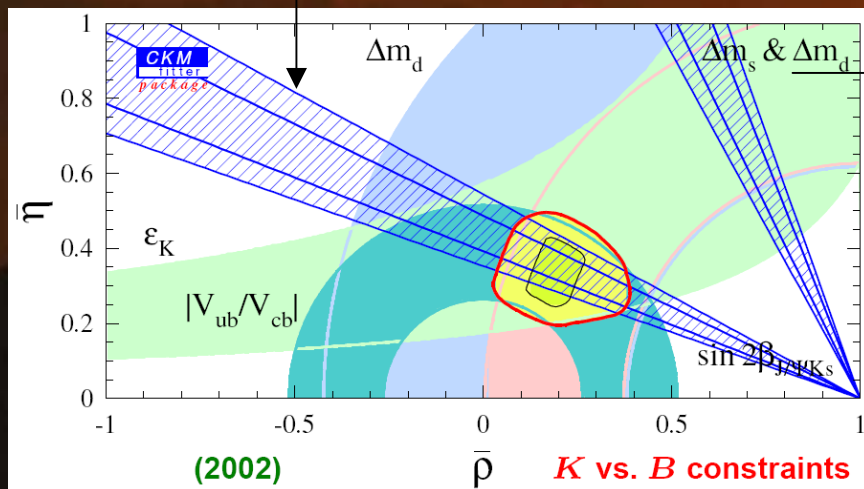
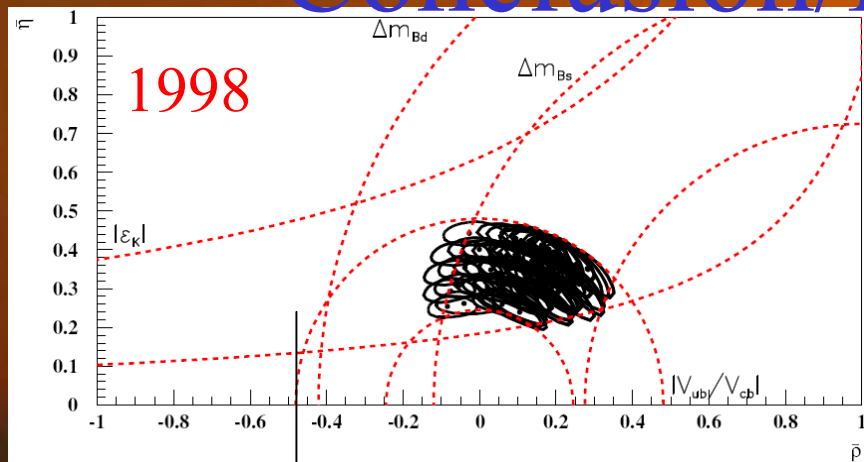
$$C=(0,0)\pm0,36\pm0,05$$

(limité statistique)



Plan: mesures pour conférences été 2007

Conclusion/Perspectives



- $B \rightarrow K^{*0} \rho^{0/+}$
- $B \rightarrow \rho^0 \rho^0$

bcp de chemin parcouru depuis 1998

Davantage encore avec les futurs run6, ... $\rightarrow$ 2008 (Babar $\sim 1 \text{ ab}^{-1}$)

Dans le Modele Standard, la violation de CP est expliquee par la presence de termes complexes dans la matrice CKM. L'unitarite de cette matrice impose l'existence d'un triangle (dit d'unitarite) dont les cotes et angles sont mesurees par les experiences. Apres une breve revue des analyses pour la determination des angles, je presenterai mon travail d'etude des canaux $B^0 \rightarrow K^*0 \rho^0$ et $B^0 \rightarrow \rho^0 \rho^0$, permettant pour ce dernier d'ameliorer la determination de l'angle α

appendice

$$\begin{aligned}
A(B^- \rightarrow D^0(K^+\pi^-)K^-) &= abr_D \\
A(B^- \rightarrow \bar{D}^0(K^+\pi^-)K^-) &= abr_B e^{i(\delta_f + \delta_D)} e^{-i\gamma} \\
A(B^+ \rightarrow D^0(K^-\pi^+)K^+) &= abr_B e^{i(\delta_f + \delta_D)} e^{i\gamma} \\
A(B^+ \rightarrow \bar{D}^0(K^-\pi^+)K^+) &= abr_D
\end{aligned}$$

rapport suppr/ favor

$$r_D = |A(D^0 \rightarrow K^+\pi^-) / A(D^0 \rightarrow K^-\pi^+)|$$

$$\begin{aligned}
Br(B^- \rightarrow D(K^+\pi^-)K^-) + Br(B^+ \rightarrow D(K^-\pi^+)K^+) &= 2a^2 b^2 (r_D^2 + r_B^2 + 2r_B r_D \cos(\delta_D + \delta_f) \cos \gamma) \\
Br(B^- \rightarrow D(K^+\pi^-)K^-) - Br(B^+ \rightarrow D(K^-\pi^+)K^+) &= 4a^2 b^2 r_B r_D \sin(\delta_D + \delta_f) \sin \gamma
\end{aligned}$$

Deux quantités mesurant γ

- Asymétrie de CP

$$A_{ADS} = \frac{Br(B^- \rightarrow D(K^+\pi^-)K^-) - Br(B^+ \rightarrow D(K^-\pi^+)K^+)}{Br(B^- \rightarrow D(K^+\pi^-)K^-) + Br(B^+ \rightarrow D(K^-\pi^+)K^+)} = \frac{2r_B r_D \sin(\delta_D + \delta_f) \sin \gamma}{r_D^2 + r_B^2 + 2r_B r_D \cos(\delta_D + \delta_f) \cos \gamma}$$

- $R_{CP\pm}$

$$R_{ADS} = \frac{Br(B^- \rightarrow D(K^+\pi^-)K^-) + Br(B^+ \rightarrow D(K^-\pi^+)K^+)}{[Br(B^- \rightarrow D^0(K^-\pi^+)K^-) + Br(B^+ \rightarrow \bar{D}^0(K^+\pi^-)K^+)]} = r_B^2 + r_D^2 + 2r_B r_D \cos(\delta_B + \delta_D) \cos \gamma$$

Silva-Wolfenstein method (SU(3))

SU(3) symmetry: $B^0 \rightarrow K^+ \pi^-$, $B^0 \rightarrow \pi^+ \pi^-$

$$\Gamma(B^0 \rightarrow \pi^+ \pi^-) = |T^{+-}|^2 + |P^{+-}|^2 + 2|T^{+-}||P^{+-}| \cos(\beta + \gamma - \delta)$$

$$\Gamma(B^0 \rightarrow K^+ \pi^-) = |T'^{+-}|^2 + |P'^{+-}|^2 - 2|T'^{+-}||P'^{+-}| \cos(\gamma + \epsilon' - \epsilon - \delta')$$

$$\epsilon' = \arg \left(-\frac{V_{us} V_{ud}^*}{V_{cs} V_{cd}^*} \right) \quad \epsilon = \arg \left(-\frac{V_{cb} V_{cs}^*}{V_{tb} V_{ts}^*} \right)$$

$$\begin{aligned} R &= \frac{\Gamma(B^0 \rightarrow K^+ \pi^-) + \Gamma(\bar{B}^0 \rightarrow K^- \pi^+)}{\Gamma(B^0 \rightarrow \pi^+ \pi^-) + \Gamma(\bar{B}^0 \rightarrow \pi^+ \pi^-)} \\ &= \frac{|T'^{+-}|^2}{|T^{+-}|^2} \frac{1 + r'^2 + 2r' \cos(\alpha + \beta + \epsilon - \epsilon') \cos \delta'}{1 + r^2 - 2r \cos \alpha \cos \delta} \end{aligned}$$

from $J\psi/K_S$

small

$$a_{CP}(\pi^+ \pi^-) = -\sin 2(\alpha + \delta_\alpha)$$

$$\tan \delta_\alpha = \frac{r \sin \alpha}{1 - r \cos \alpha}$$

$\rightarrow \alpha$

advantage: easy to measure

« Trajectographe » de vertex (Silicon Vertex Tracker)

- $a_{CP} \rightarrow \Delta t$ (désintégrations) $\rightarrow$ vertex 2 mésons, $\Delta z(B) \sim 260 \mu\text{m}$
- P_T traces chargées P_T : 50-120 MeV (R^{-1} trop $\downarrow$ pour DCH)
- identification dE/dX (DCH)

Diffusion multiple : meilleure résolution couche internes

$P_T < 100 \text{ MeV}$: n'atteint pas DCH ($\varepsilon \uparrow$ pour $P_T > 180 \text{ MeV}$) $\rightarrow$ **SVTracker**

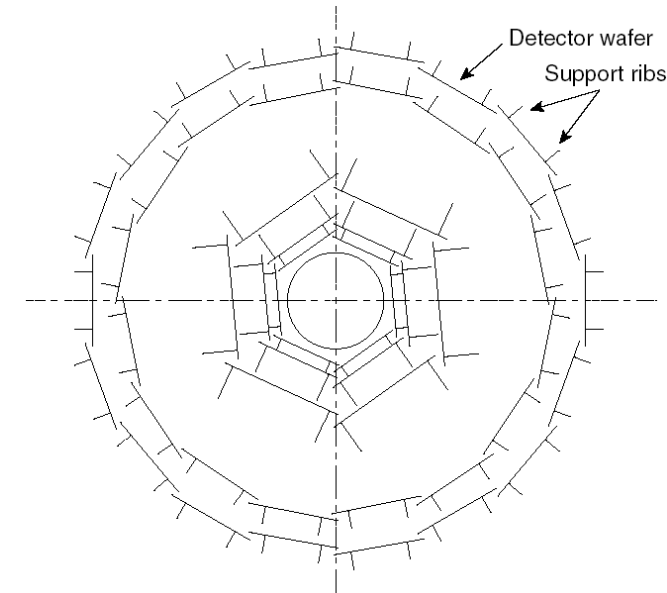
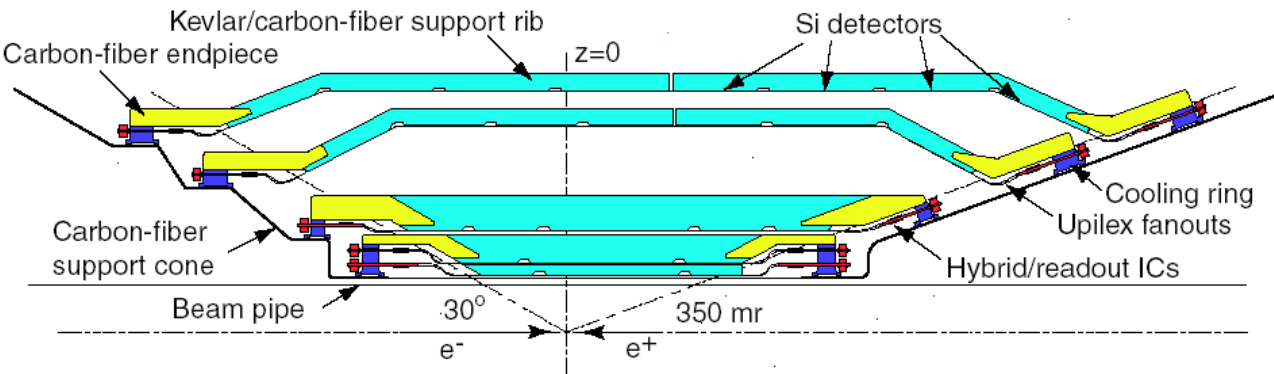
$\sigma_z \gg O(\Delta z/2) \rightarrow \sigma_z < 80 \mu\text{m}$, silicium à micropistes

meilleure $\sigma_z \rightarrow$ reconnaissance motifs, reconstruction vertex, rejet bruit

Limite par diffusion multiple $\rightarrow$ couches internes 10-15 μm , externes: 30-40 μm

5 couches cylindriques

2 externes: en arche (couverture angulaire, angles incidence↓)



3 couches internes: 6 modules: paramètre impact

Faces internes: pistes $\perp$ faisceaux $\rightarrow$ position longitudinale (z)

externes: pistes $\parallel$ faisceaux $\rightarrow$ angle azimutal (ϕ)

340 détecteurs silicium, 150000 canaux lecture, 90 % angle solide

Chambre à dérivation (DCH)

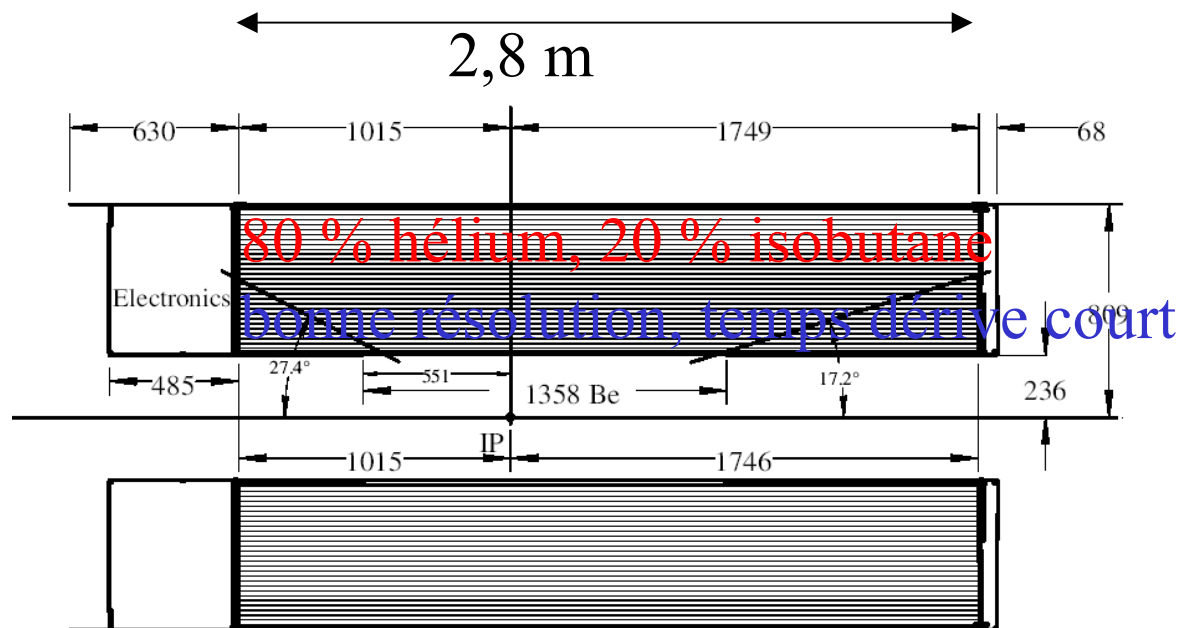
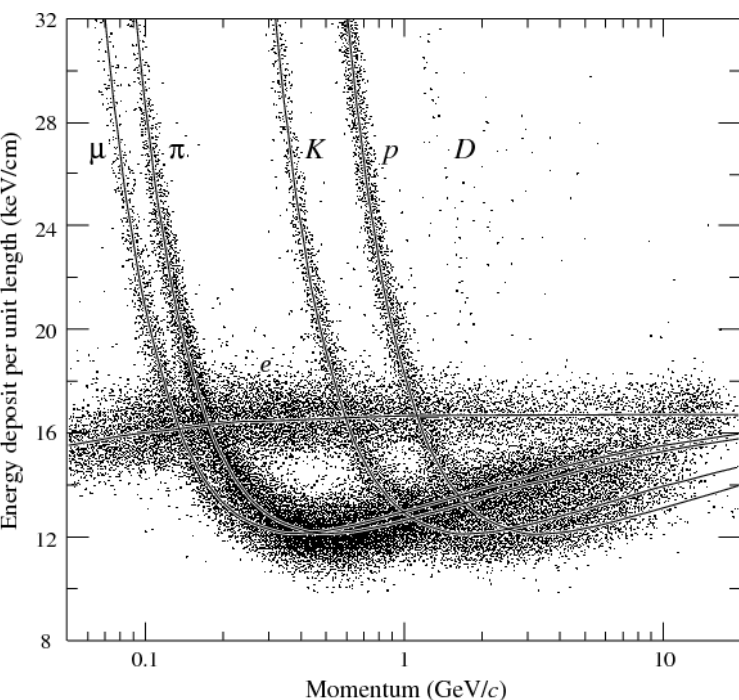
particules chargées (impulsion et angles) acceptance: 17.2° - 152.6° 40 points de mesure par trace, $\sigma < 140 \text{ } \mu\text{m}$

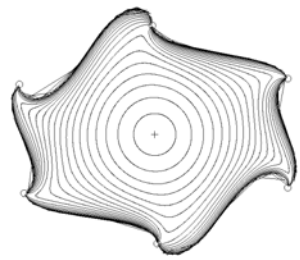
Avec SVT, reconstruction traces $P_T > 100$ MeV

reconstruire vertex déplacé (non dans SVT) → bonne résolution longitudinale

Identification particules (dE/dx) sépare π/K jusqu'à 700 MeV

$\downarrow P_T$: σ : 7 %, $\uparrow P_T > 1$ GeV: $\sigma \sim 0,3$ %





- 1 fil capteur
- 20 μm , alliage tungstène-rhénium
- Résistivité $\downarrow$, résistance mécanique
- ionisation gaz, avalanche
- seuil détection: 2 e^- (1 trace $\sim 22\text{ e}^-$)
- 6 fils de champ

7104 cellules hexagonales, 11,9 x 19,0 mm
 10 **super-couches** (chacune 4 couches)

→ jusqu'à 40 points de mesures

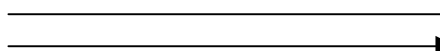
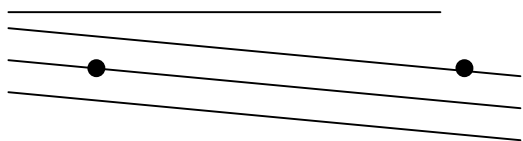
Mesure 3D: angle stereo super-couches:

alterne axiale, stereo (U-V)

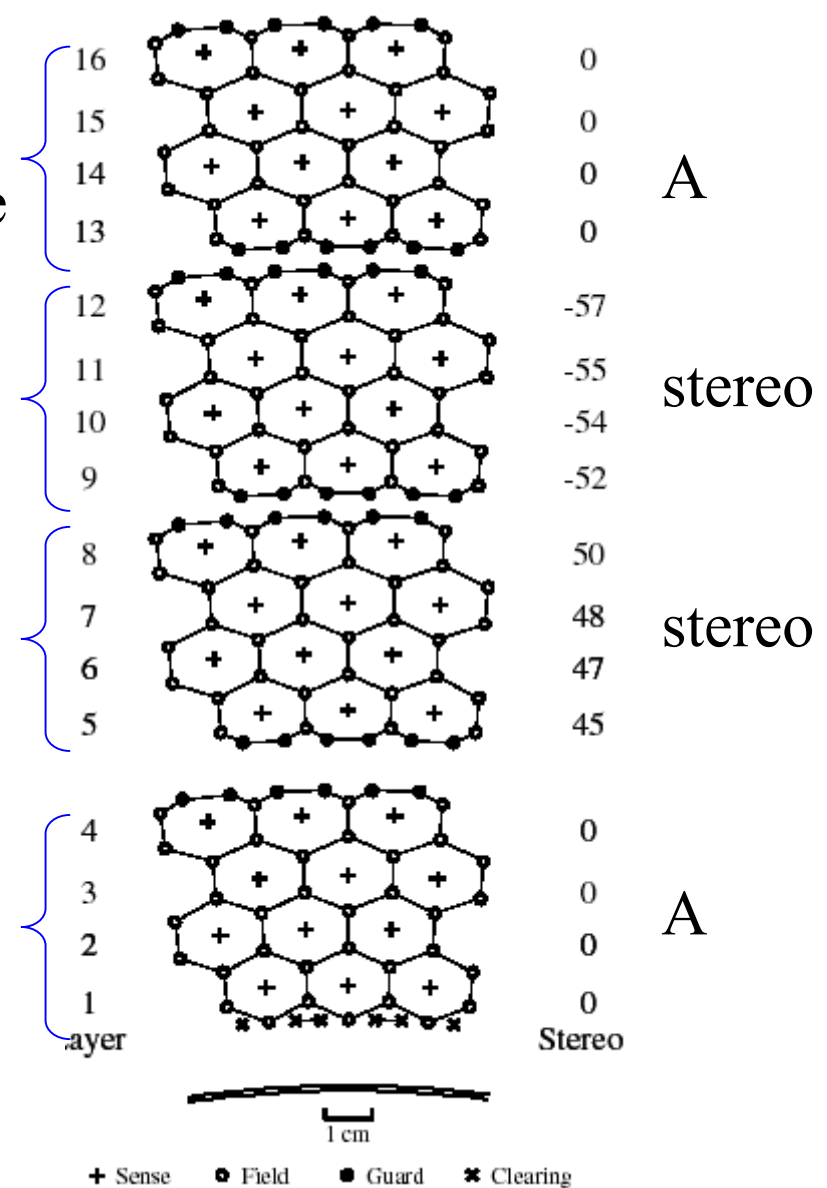
$\theta \sim [\pm 45\text{ mrad}; \pm 76\text{ mrad}]$

Axiales : angle courbure traces (impulsion)

Stereo: en plus: position longitudinale



position longitudinale



Résolution temporelle: 1 ns → 140 μm

DIRC: (detection of Internally Reflected Cerenkov light)

Identification particules chargées, distingue $\pi^{+/-}/K$

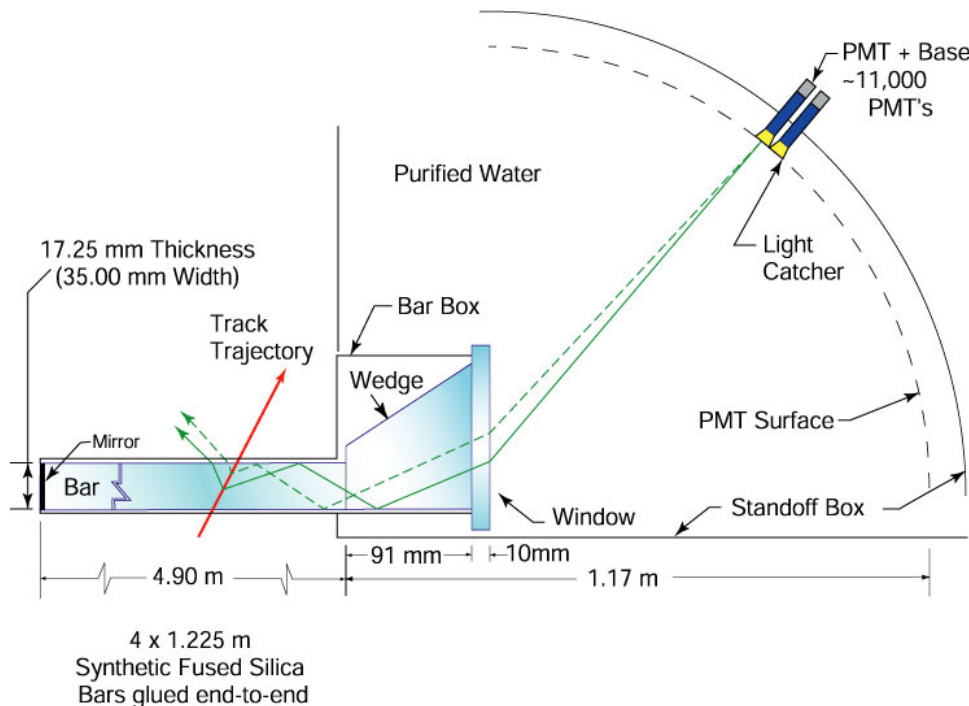
(P_T : [0,7 GeV; 4 GeV]), p ($P > 1.3$ GeV)

$K \rightarrow$ étiquetage saveur B ($b \rightarrow c \rightarrow s$)

Rayonnement Cerenkov particule chargée $\beta > 1/n$ $\cos \theta_C = \frac{1}{\beta n}$

SVT+DCH: p $\rightarrow$ identification particule

$$m^2 c^4 = \frac{1 - \beta^2}{\beta^2} p^2$$



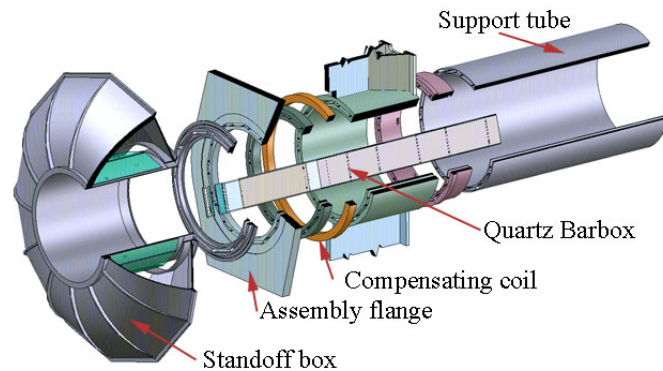
radiateur 144 barres quartz (résistant radiations, longueur atténuation $\uparrow$, $n \uparrow$, dispersion chromatique faible)
lumière $\rightarrow$ arrière détecteur

Prisme: rabat photons trop grand angle (réduit PMT), angle 6 mrad prisme

Ambiguïté parité réflexion

Cuve à eau (Stand Off Box)

Eau: indice proche quark, minimise perte réflexions quartz/eau
photons $\rightarrow$ 11000 PMT



Calorimètre électromagnétique

Gerbes électromagnétiques γ , π , η , position, énergie

20 MeV-9 GeV

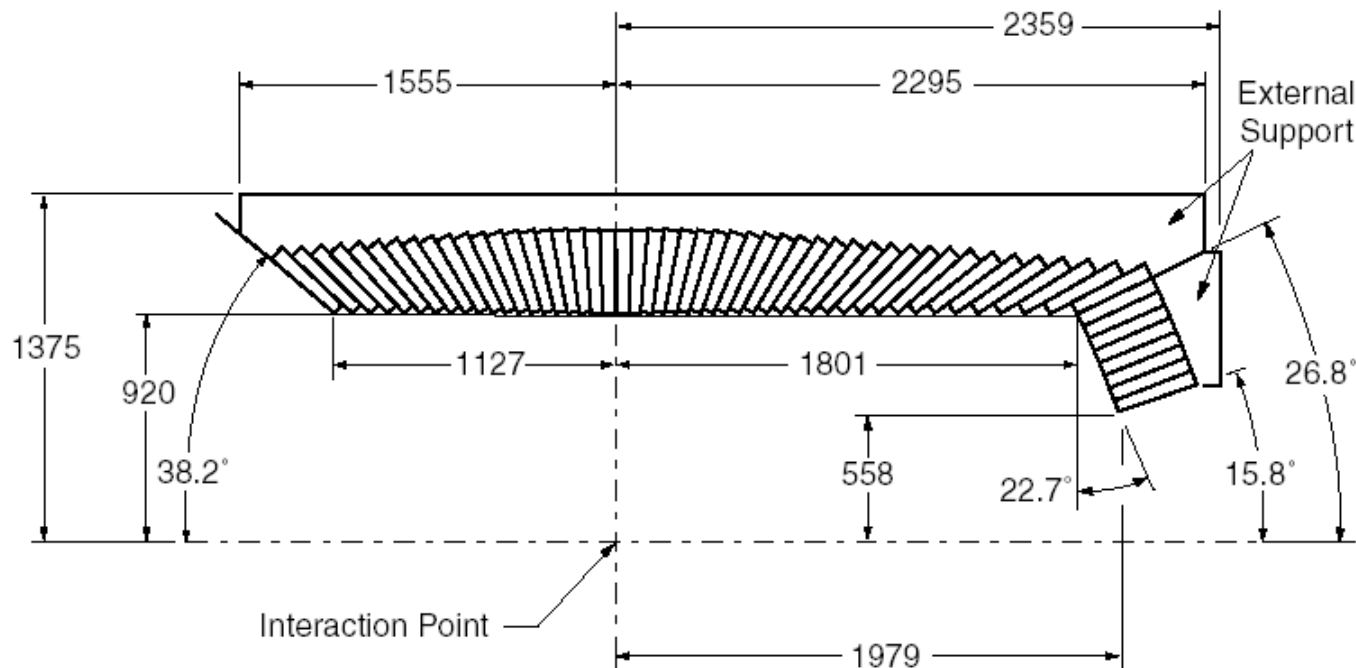
Identification e^- par E/p , permet de tagger B par lepton

Tonneau cylindrique, bouchon conique avant

5760 cristaux scintillation (48 colonnes suivant angle polaire)

Cristaux CsI: bonne production lumière (50000 γ /MeV)

Lumière scintillation lue par photodiodes silicium



solénoïde

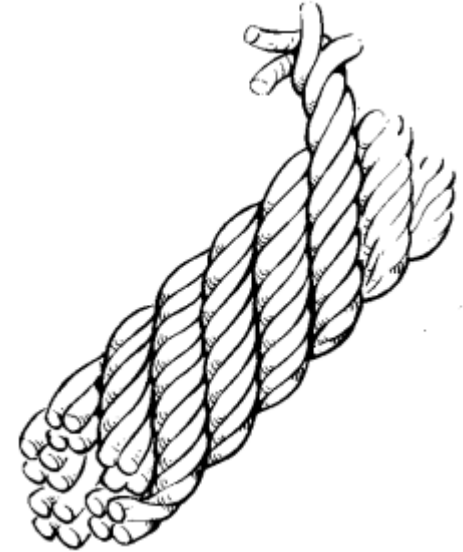
like the filaments in composite wires, cables
must be twisted to reduce coupling

1,5 T

Cable Rutherford 10 km

$I=4600$ A, hélium liquide 4.5 K

Retour de champ pour protéger aimants Q2, Q4, Q5



Retour de flux instrumenté

IFR(Instrumented Flux Return)

détecteur μ (étiquetage saveur B, désintégrations semi-leptoniques B)

$P_T > \text{GeV}$

Détection hadrons neutres (K_L^0 , n)

RPC: Resistive Plate Chamber

RPC: détec tent particule ionisante dans gaz $\rightarrow$ étincelle entre deux plaques

