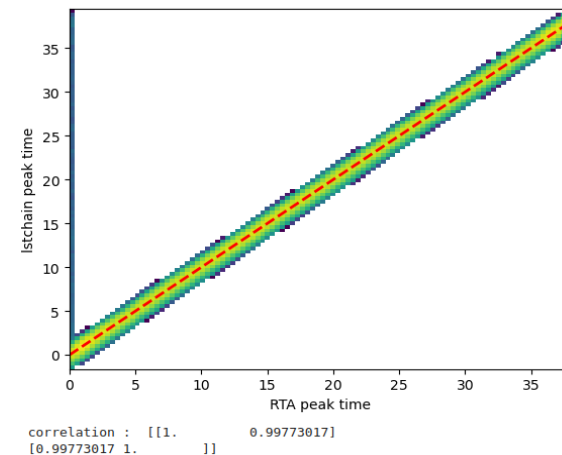
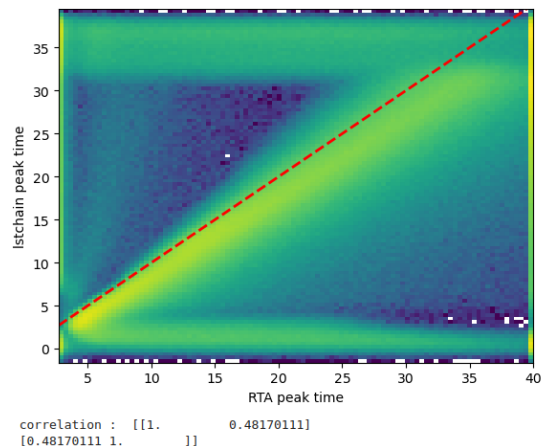
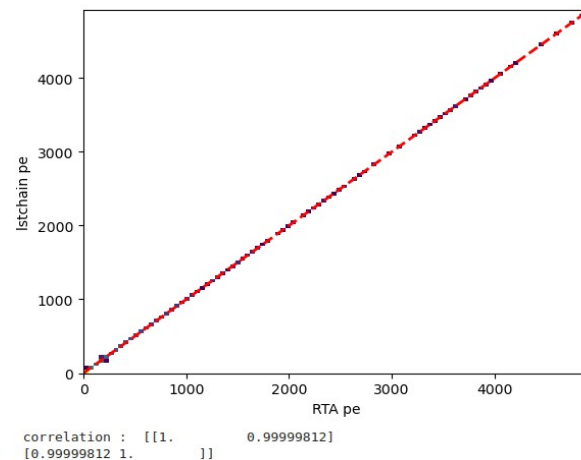
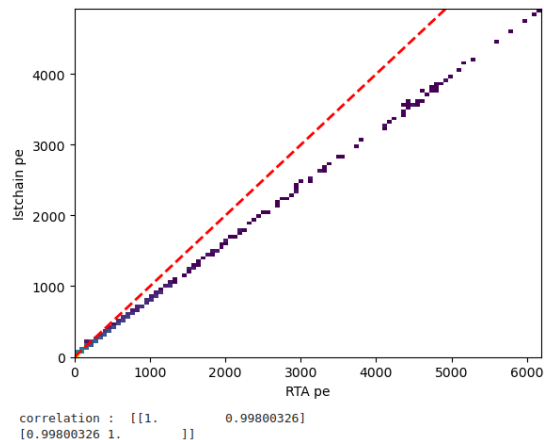


New version of LST real time  
analysis

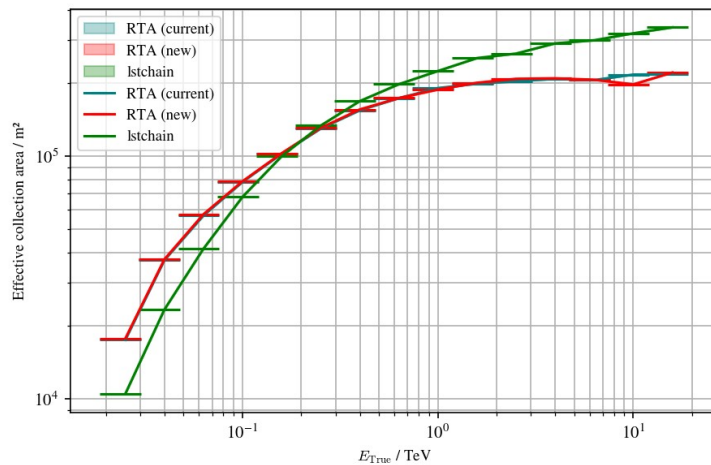
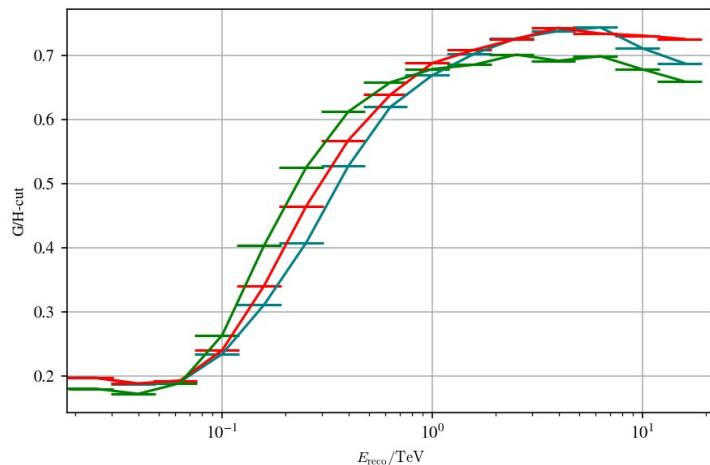
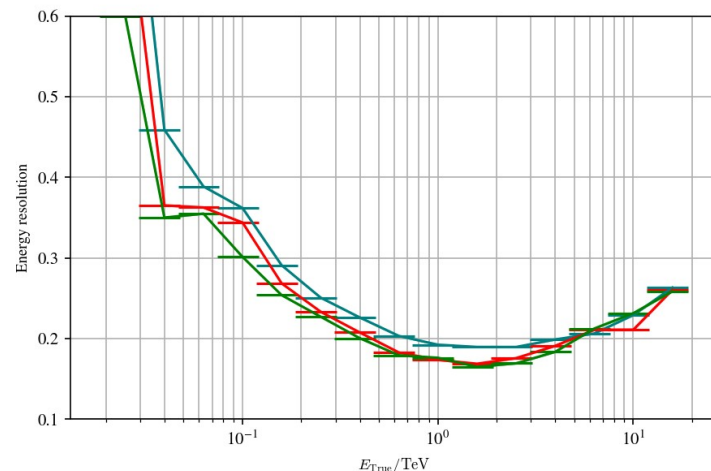
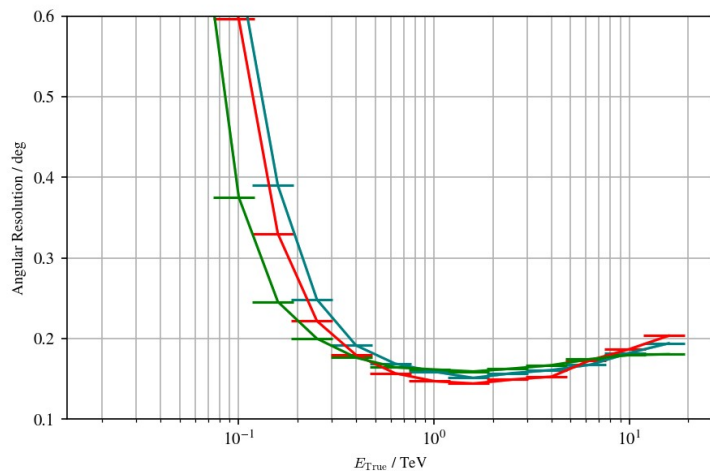
# What's new

- Bug correction for the time reconstruction
- Temporal cleaning (remove pixel of Hillas if not at least one neighbor at  $< 2\text{ns}$ )
- Lot of work on the optimisation to be able to use this real time ( $\sim 2500\text{ ev/s/CPU}$ )

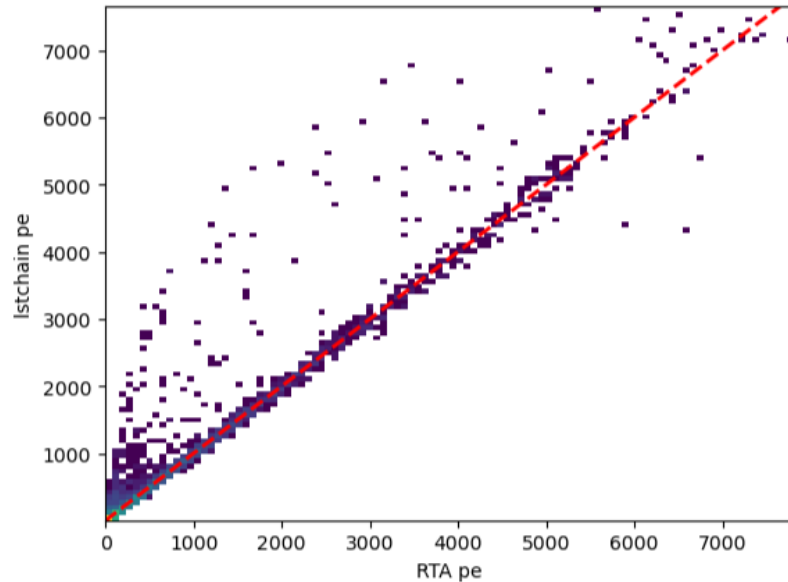
# Comparison pixel by pixel (MC)



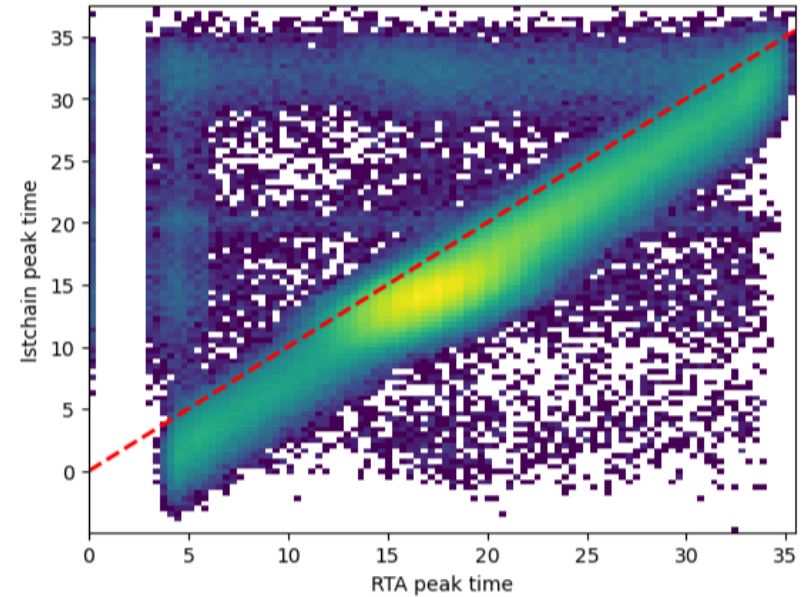
# Results Simulations



# Comparison pixel by pixel (Real data)



```
correlation : [[1.          0.97743515]  
[0.97743515 1.          ]]
```



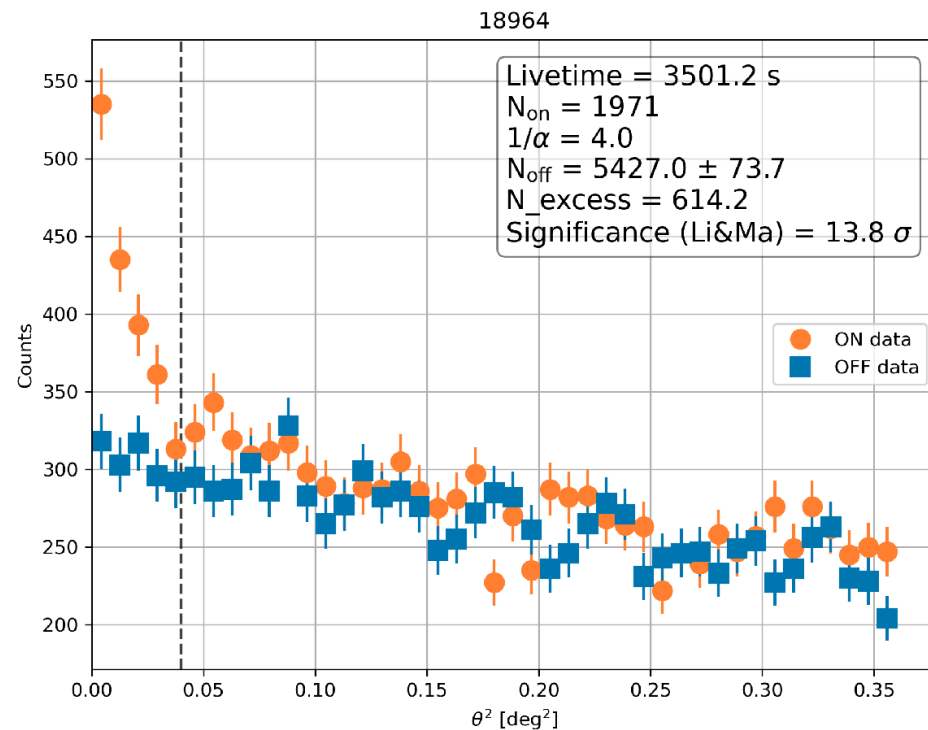
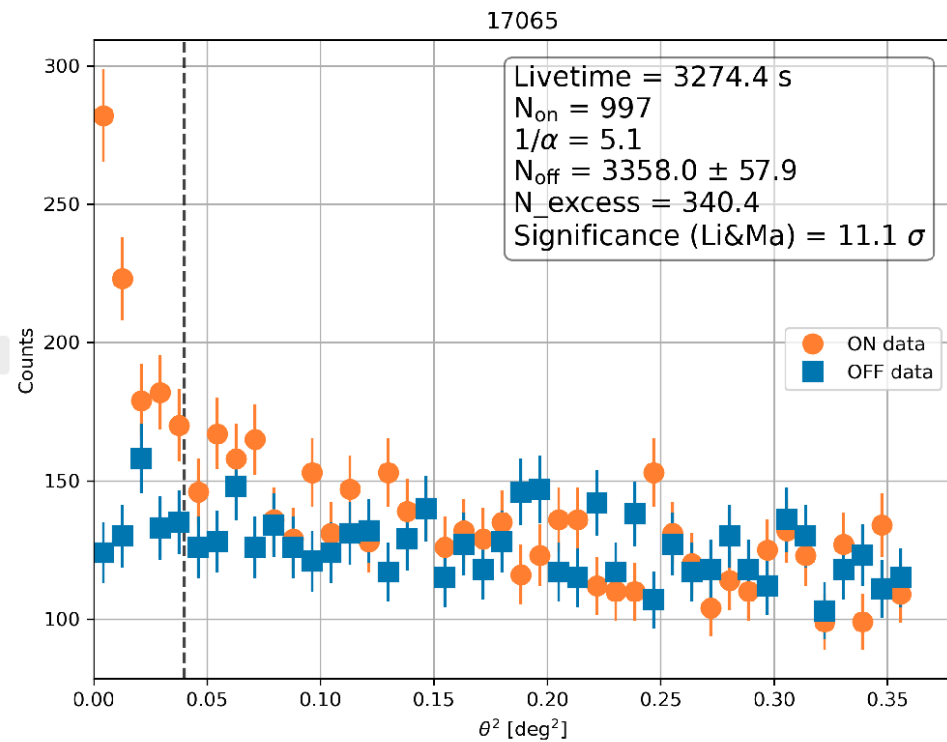
```
correlation : [[1.          0.84728268]  
[0.84728268 1.          ]]
```

# First Crab results

22° → 35° zenith

Gammaness > 0.65

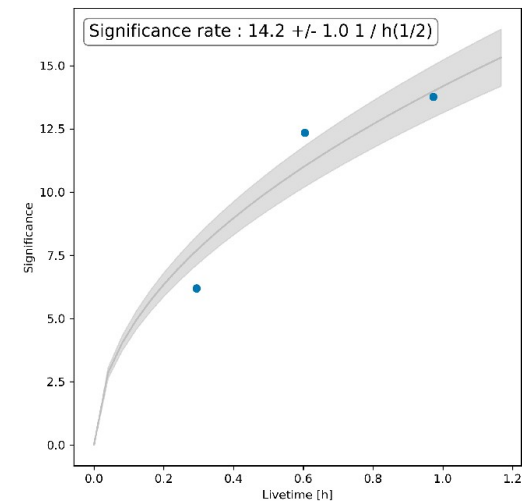
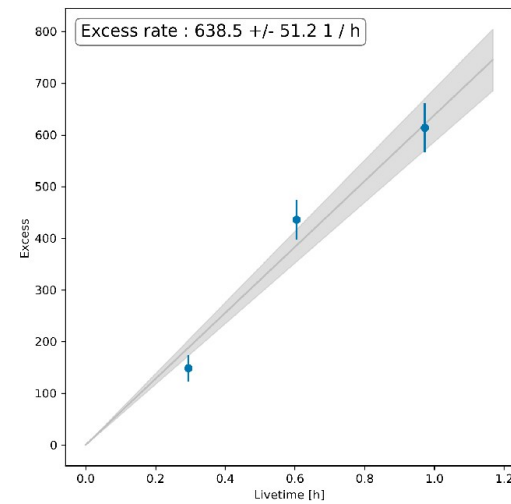
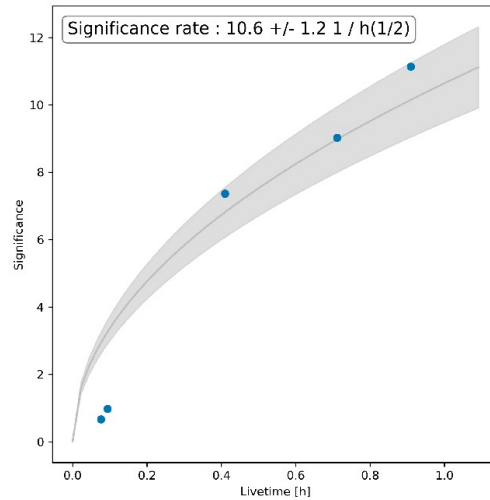
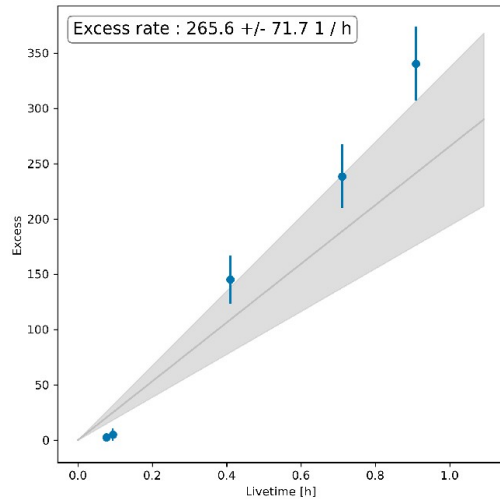
42° → 33° zenith



# Crab results

Old  
22 → 35 zenith

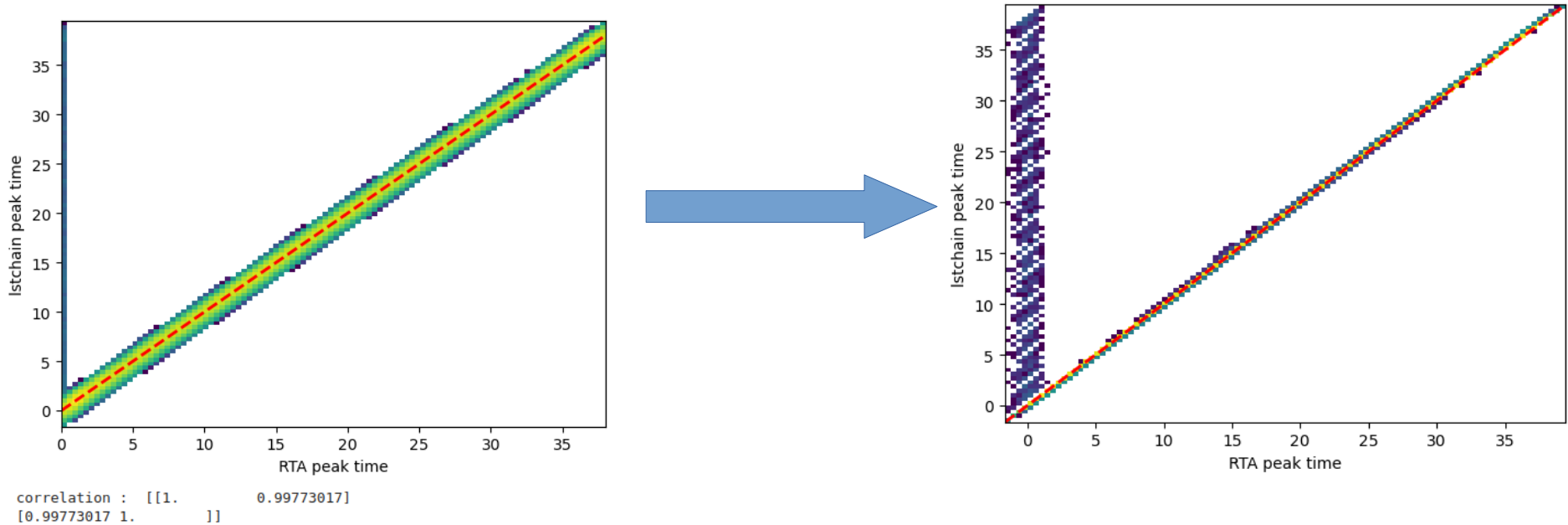
New  
42 → 33 zenith



~ x2 improvement

# Next Improvement

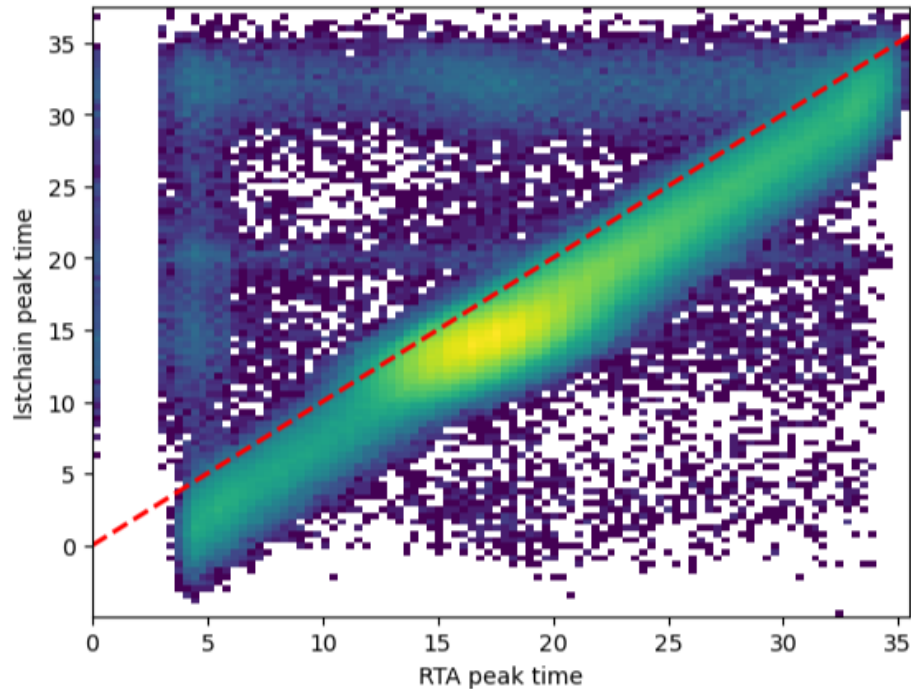
- Time calibration ( $\sim 1.26$  ns spread between pixels)



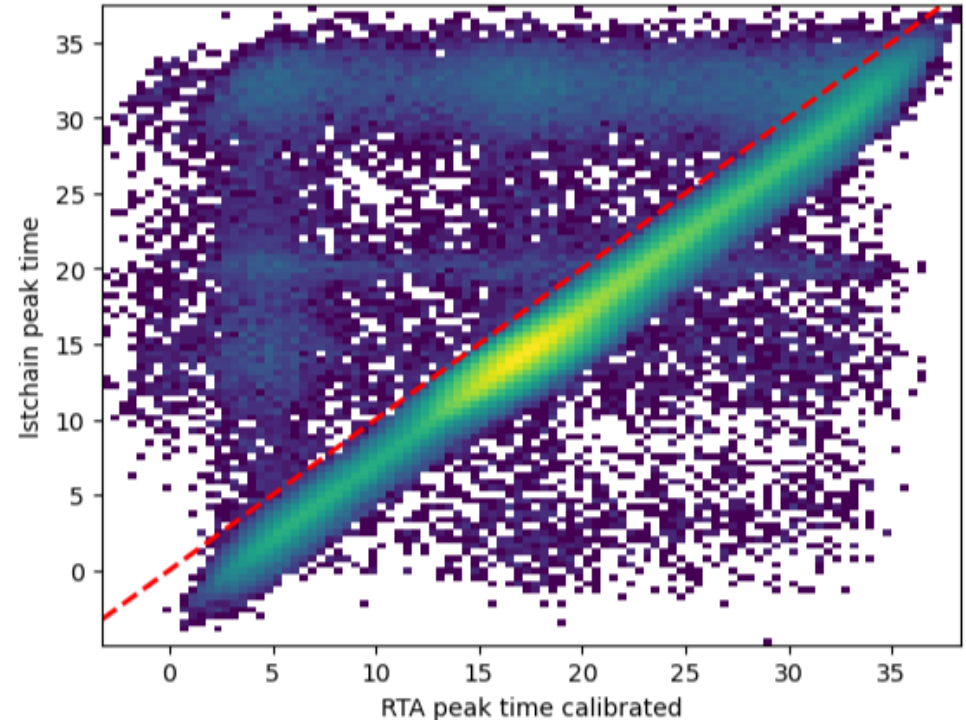
- On-going : Currently need to update simulations to include the calibration per run
- Next : Performance on MC, Produce RFs and



# Time real data after calibration



correlation :  $\begin{bmatrix} 1. & 0.84728268 \\ 0.84728268 & 1. \end{bmatrix}$

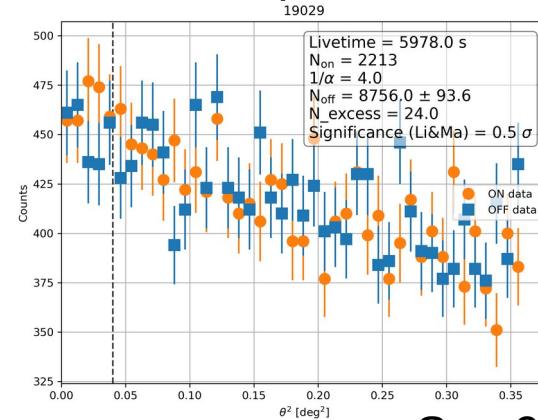


correlation :  $\begin{bmatrix} 1. & 0.87600579 \\ 0.87600579 & 1. \end{bmatrix}$

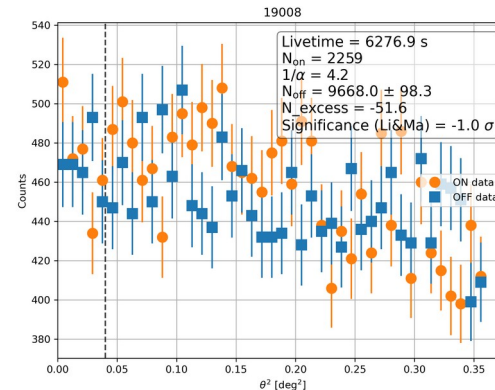
# Cut optimisation

- Recent discussion and observation of 4c 27.50 ( $z = 1.25$ ) motivated me to start to put more time on this topic
- RTA no detection of 4C but cuts are not optimized
- Tried to implement a simple version of the cut optimizer in a first step to have an idea of the cut needed to observe a  $z=1.25$  source

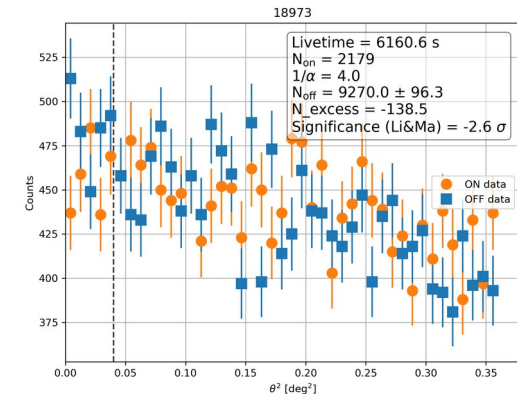
Sep 11



Sep 10



Sep 9



# Cut Optimisation (maths)

$$m_{e,c} = \Delta E \int_0^{+\infty} \phi_c(E_T) \times M(E_R, E_T) E_A(E_T) dE_T$$

$$M(E_R, E_T) = \delta(E_R - E_T)$$

$$m_{E,s} = m_{e,c} \times \left( \frac{\phi_s}{\phi_c} \right) \times \left( \frac{E_{As}}{E_{Ac}} \right) \times \mathcal{Z}(E_R, z)$$

$$E_R = E_T \times b(E_T)$$

$$\left( \frac{\phi_s}{\phi_c} \right) = m_{CRAB} \quad \text{if } \phi_s \neq \phi_c$$

$$\left( \frac{E_{As}}{E_{Ac}} \right) = \left( \frac{\Delta t_s}{\Delta t_c} \right) \quad \text{if same zenith and good weather}$$

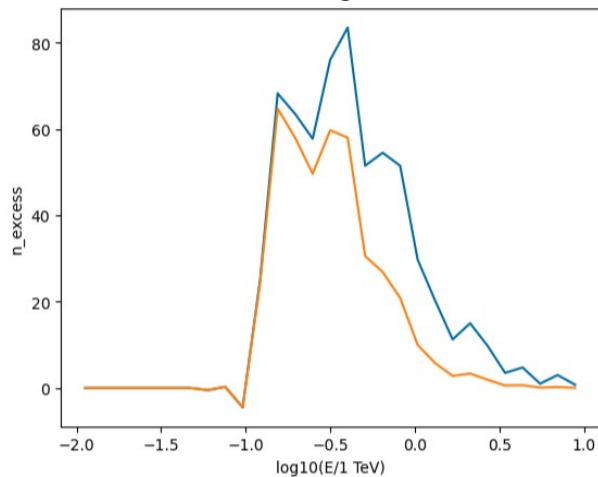
$$m_{E,s} = m_{e,c} \times m_{CRAB} \times \left( \frac{\Delta t_s}{\Delta t_c} \right) \times \mathcal{Z}(E \times b(E), z)$$

$$b(E) = 1$$

$$\left( \frac{\Delta t_s}{\Delta t_c} \right) = 1$$

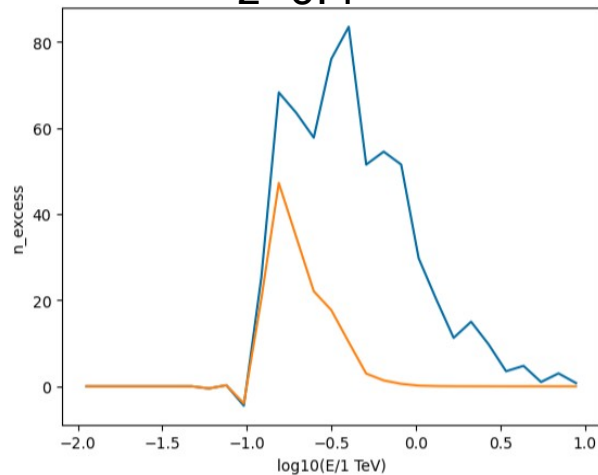
# EBL corrected excess

$z=0.1$



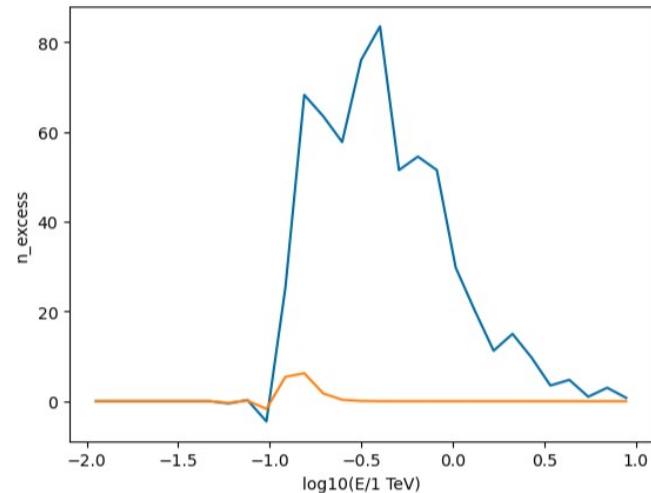
[9.18234879]

$z=0.4$



[3.51045598]

$z=1.25$



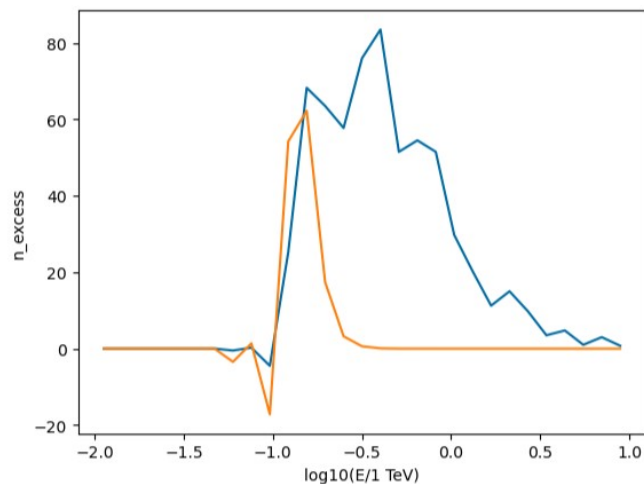
[0.27678447]

Current RTA cut, no chance to observe 4C ( $\sim 0.3 \text{ sigma} / \sqrt{h}$ ) if 4C is 1 Crab (at least with the current cuts)

Observable in  $\sim 320$  hours ... :(

# EBL corrected excess

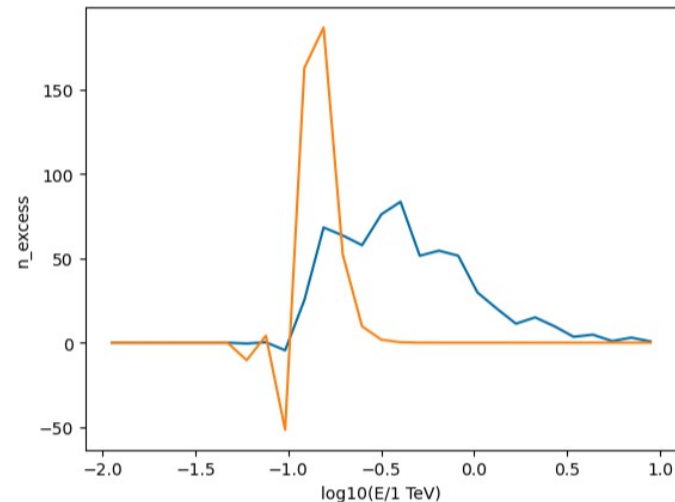
$z = 1.25$ , 10 crab



[2.72883129]

Observable in  $\sim 3.4$  hours

$z = 1.25$ , 30 crab

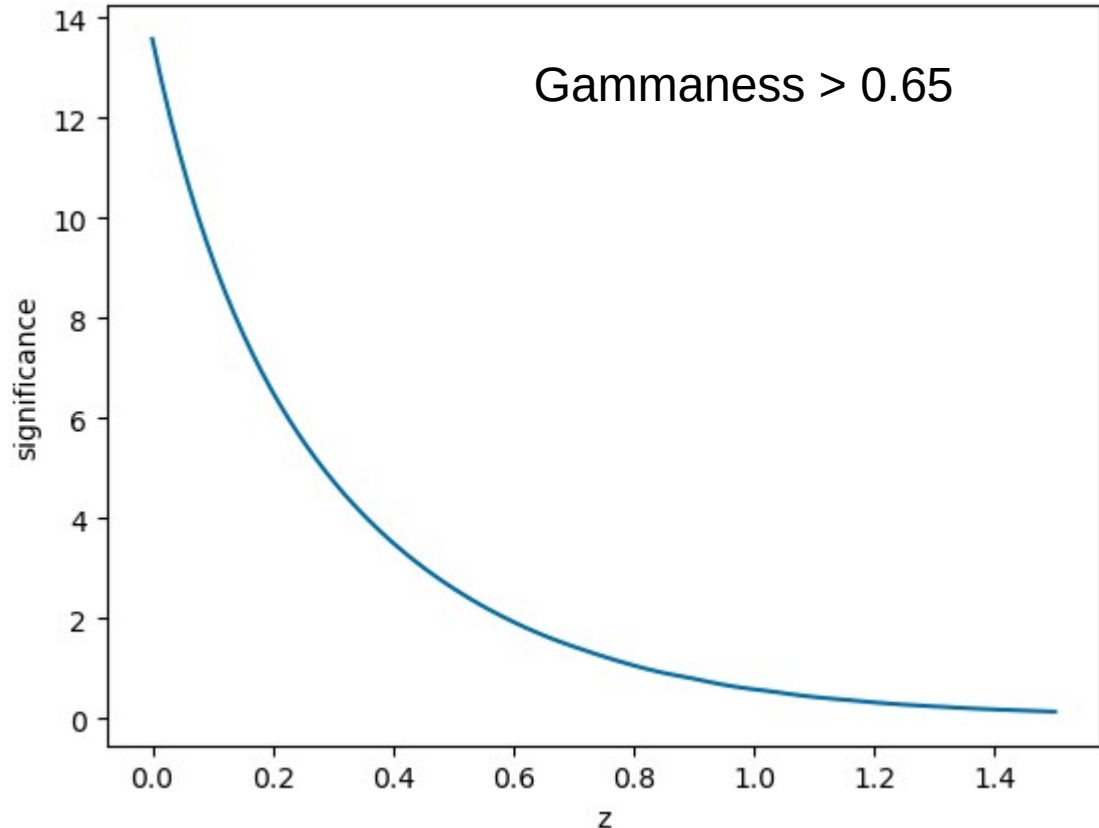


[7.94869397]

Observable in  $\sim 0.4$  hours

# Significance versus redshift

- Next step is optimisation
- Produce significance versus  $z$  for different cuts ( $0.4 \rightarrow 0.9$ )
- Make a 3D table (significance,  $z$ , `gammaness_cut`)
- Choose the `gammaness_cut` that maximise significance to  $z = 1.25$
- Use it on 4C data
- That is the program of my afternoon



# Next steps

- Perform this simple analysis on 4C
- Share the notebook
- Further investigation :
  - Add a  $b(E)$  from mig matrix
  - Try to do the maths for a gaussian migration (no idea how to deal with it)
- Can be applied easily on Istchain as well (inputs are Crab DL3 with different cuts)
- Make a 4D table (significance,  $z$ ,  $\text{gammaness\_eff}/\text{theta\_eff}$ , zenith) is probably a good start