

Harnessing the power of mm-wave intensity mapping to study early galaxy formation

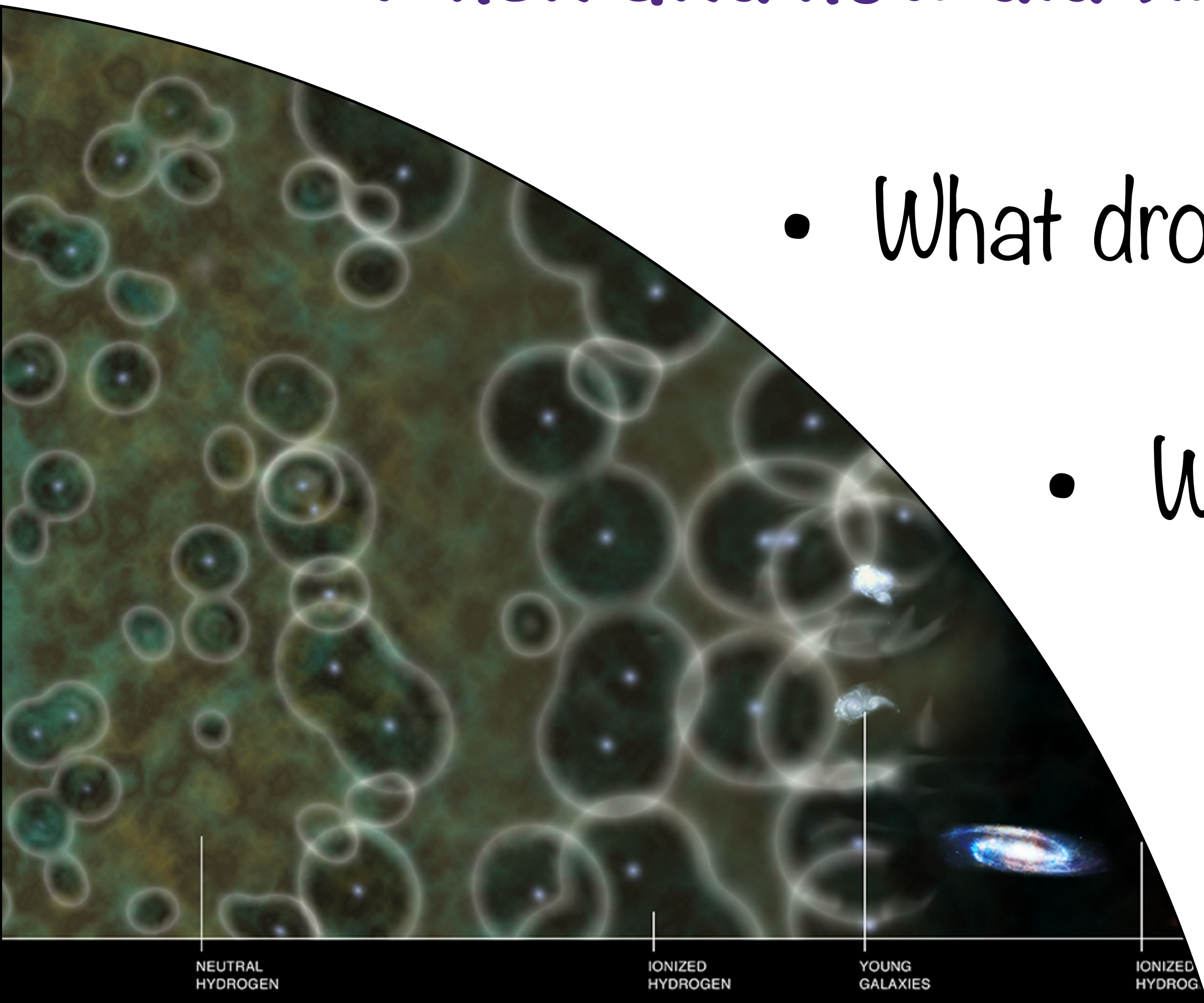
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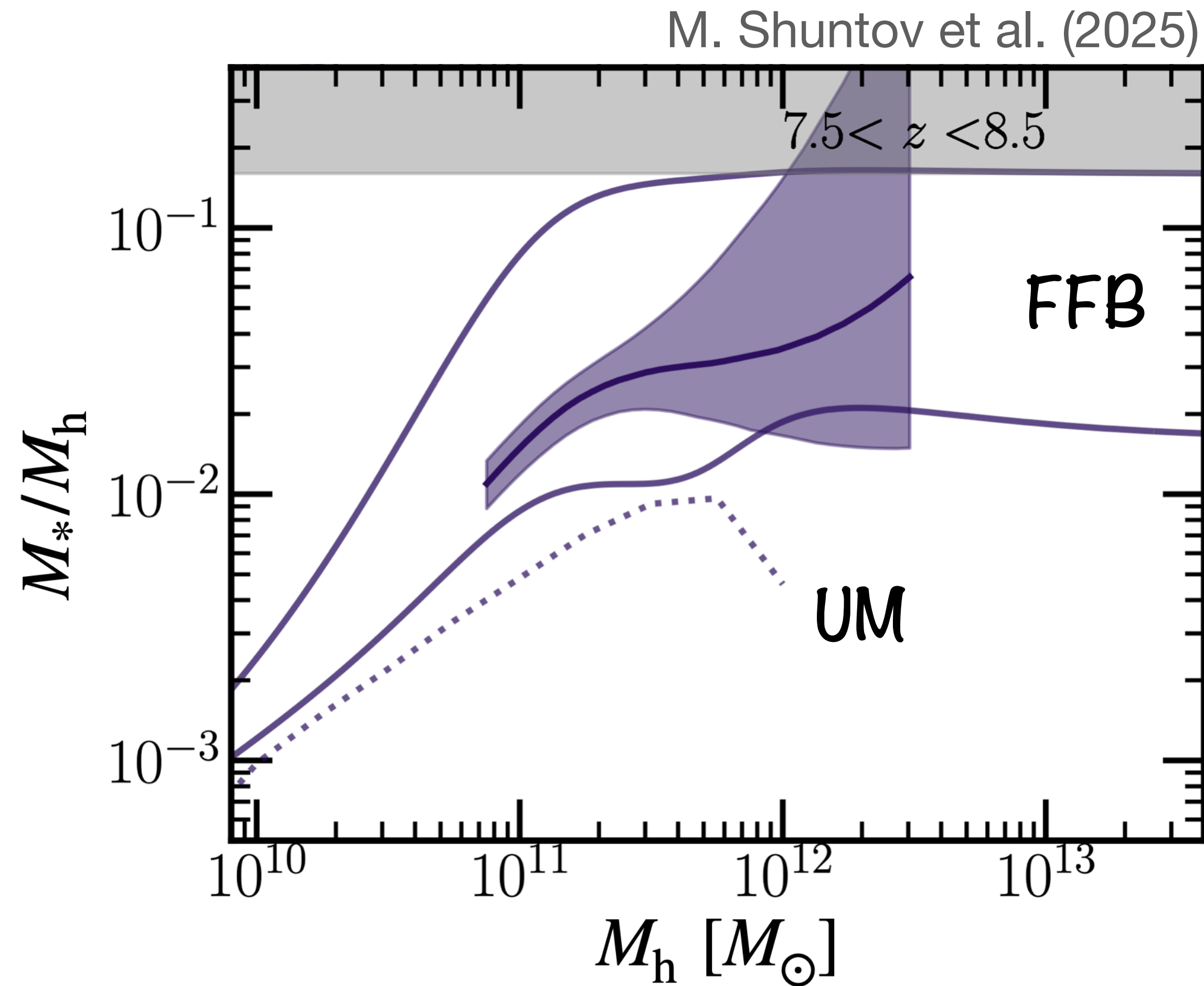
Line Intensity Mapping 2025 | Annecy, France 🇫🇷 | June 4, 2025

High-redshift Universe: fascinating by its many unknowns

- When and how did first galaxies form?
- What drove cosmic reionization and how?
- What were first black holes like?
- Unique lab for new physics?

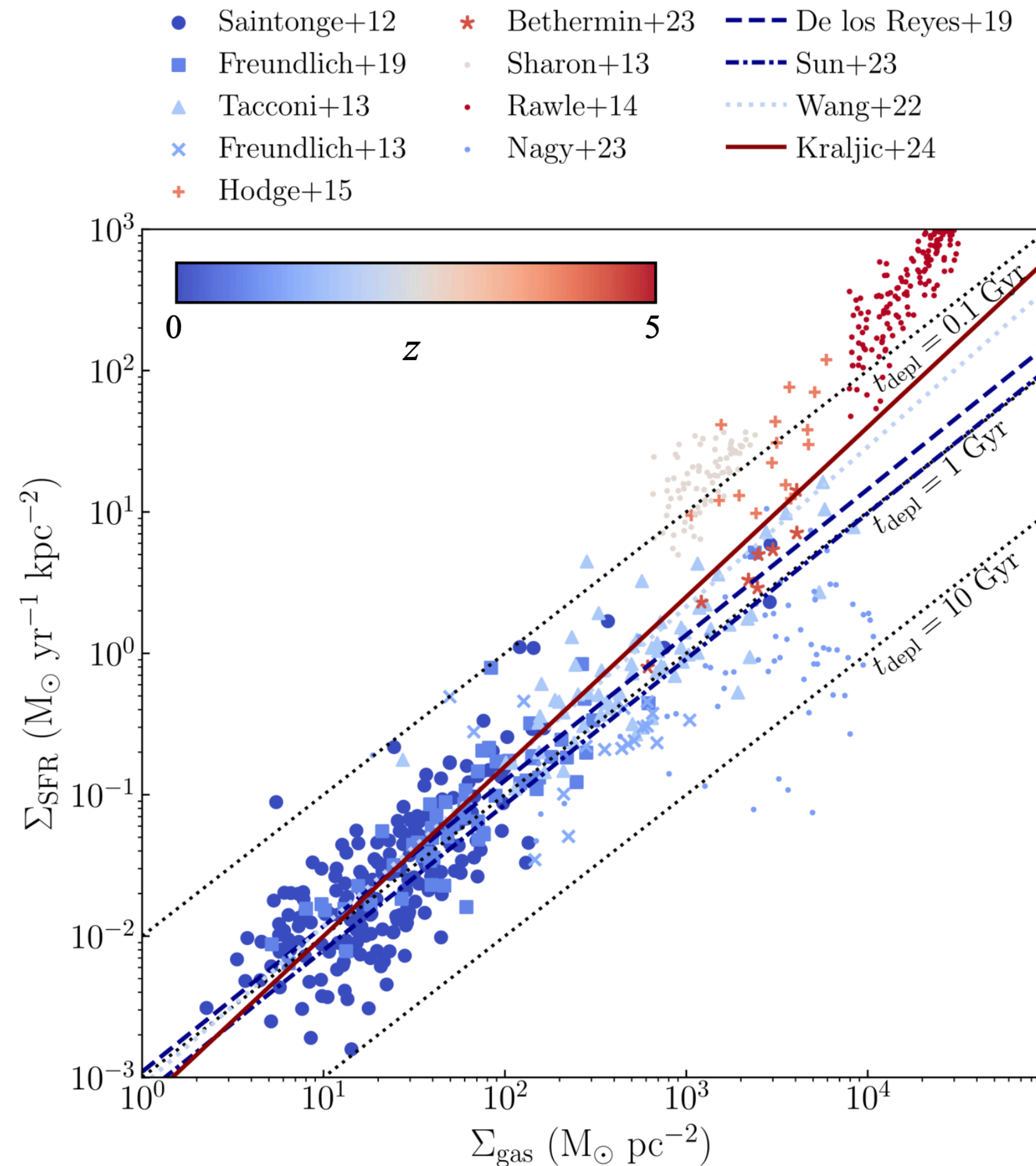


Star formation efficiency (stellar mass-halo mass relation)



- Probe of stellar feedback
- Mass & redshift dependence

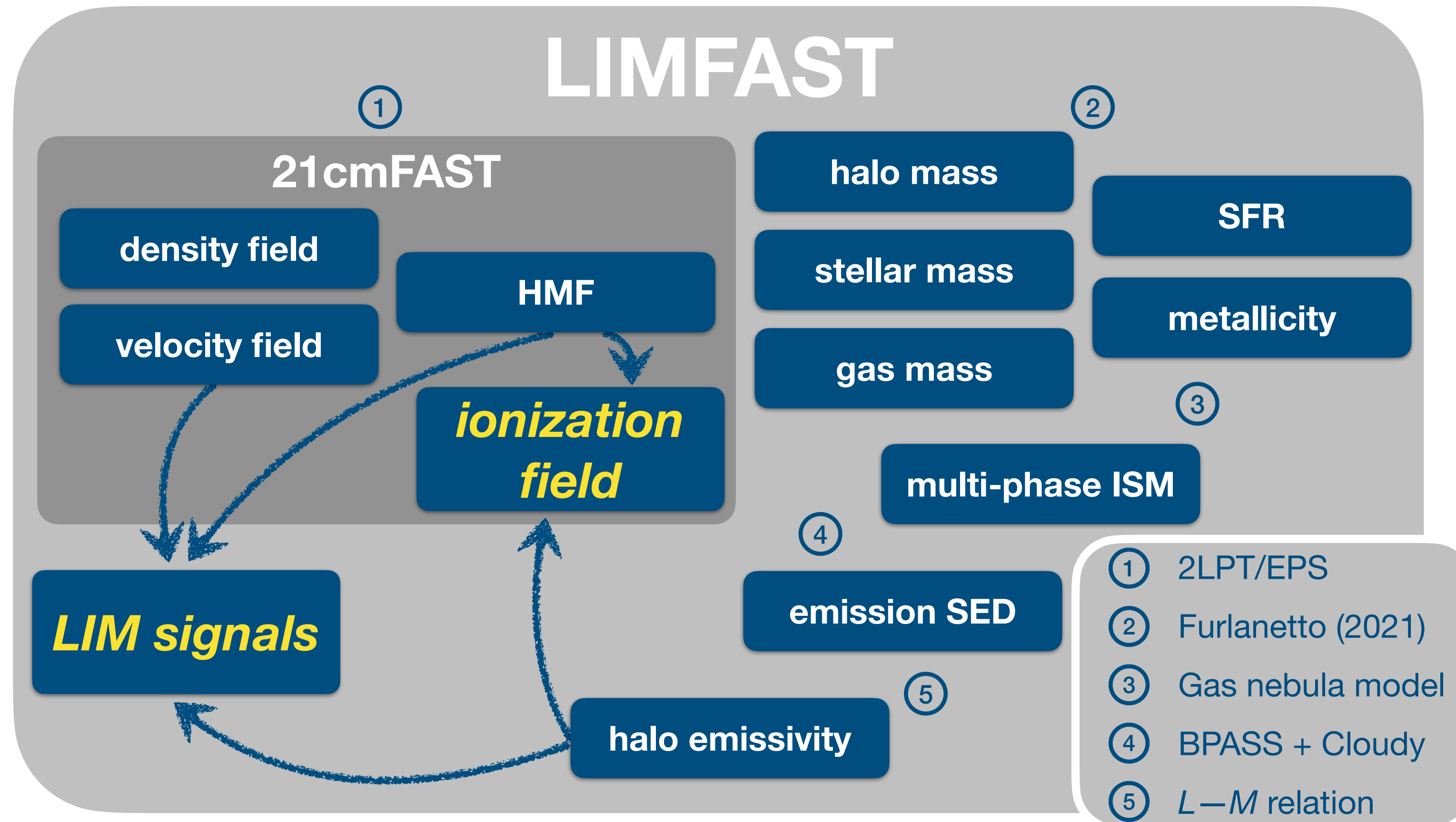
Star formation law (a.k.a. Kennicutt-Schmidt relation)



J. Freundlich et al. (2024)

- Surface densities & gas depletion time
- Slope: denser gas better at SF (if > 1)

LIMFAST: 21cmFAST extension for multi-tracer IM



- ▶ L. Mas-Ribas, **GS** et al. (2023): Methodology & LIM predictions
- ▶ **GS** et al. (2023): LIM for high- z galaxy formation
- ▶ **GS** et al. (2025): 21cm^2 —NIRB cross-correlation
- ▶ **GS** et al. (2025, in prep.): Parameter inference from LIM

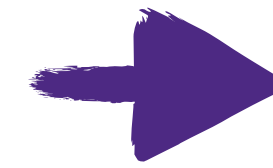
Gas-regulator model for feedback-regulated star formation

Mass loading factor

$$\eta(M_h, z) = \eta_0 \left(\frac{M_h}{10^{11.5} M_\odot} \right)^{-\xi} \left(\frac{1+z}{9} \right)^{-\xi_z}$$

Star formation law

$$\dot{\Sigma}_\star(\Sigma_g, z) = \epsilon_{\star,0} \frac{\Sigma_{g,0}}{t_{\text{ff},0}^{\text{disc}}} \left(\frac{\Sigma_g}{\Sigma_{g,0}} \right)^\zeta \left(\frac{1+z}{9} \right)^{\zeta_z}$$



ξ

M_h dependence of mass loading factor

ξ_z

z dependence of mass loading factor

ζ

slope of star formation law

$$\frac{\tilde{M}'_h}{\tilde{M}_h} = -\mathcal{M}_0$$

Halo mass

$$\frac{\tilde{M}'_g}{\tilde{M}_g} = \mathcal{M}_0 \left[-\frac{1}{X_g} + \eta_0 \dot{X}_{\star,0} \left(\frac{X_g}{X_{g,0}} \right)^{\alpha_X} \tilde{M}_h^{\alpha_m} \left(\frac{1+z}{1+z_0} \right)^{\alpha_z} \right]$$

Gas mass

$$\tilde{M}'_\star = -\mathcal{M}_0 \dot{X}_{\star,0} \left(\frac{X_g}{X_{g,0}} \right)^{\beta_X} \tilde{M}_h^{\beta_m} \left(\frac{1+z}{1+z_0} \right)^{\beta_z}$$

Stellar mass

$$\frac{X'_g}{X_g} = \frac{\tilde{M}'_g}{\tilde{M}_g} - \frac{\tilde{M}'_h}{\tilde{M}_h}$$

Gas retention

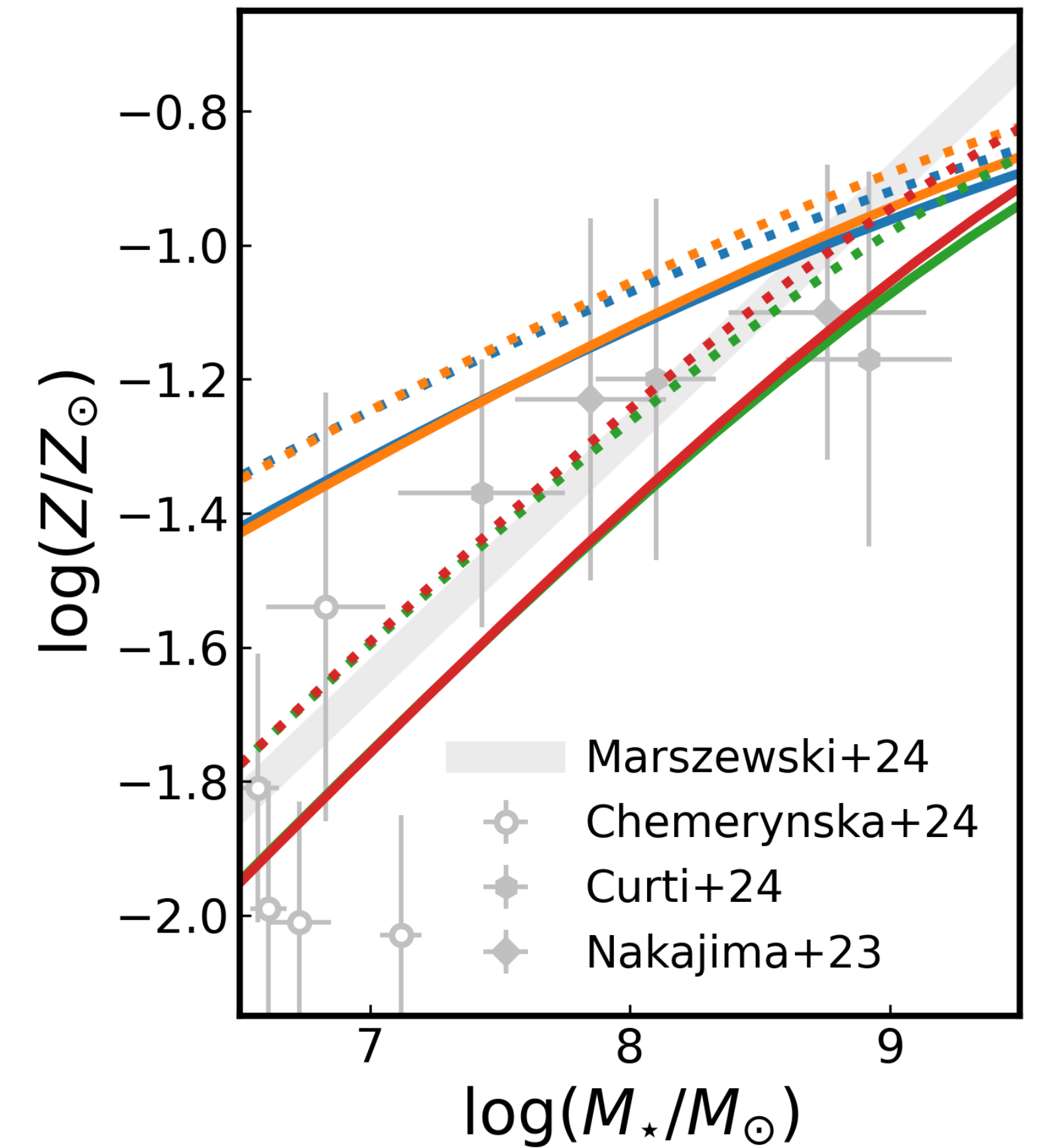
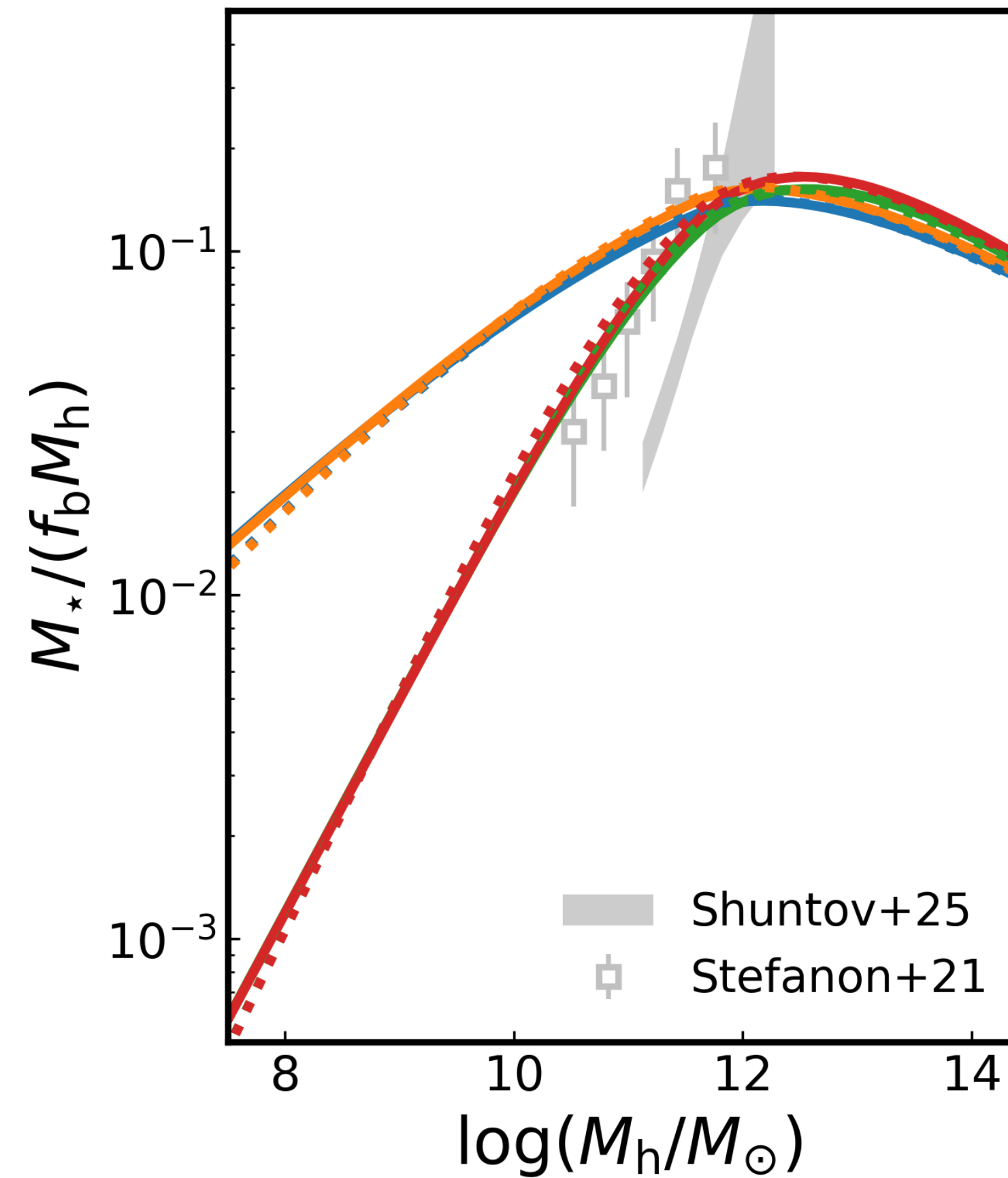
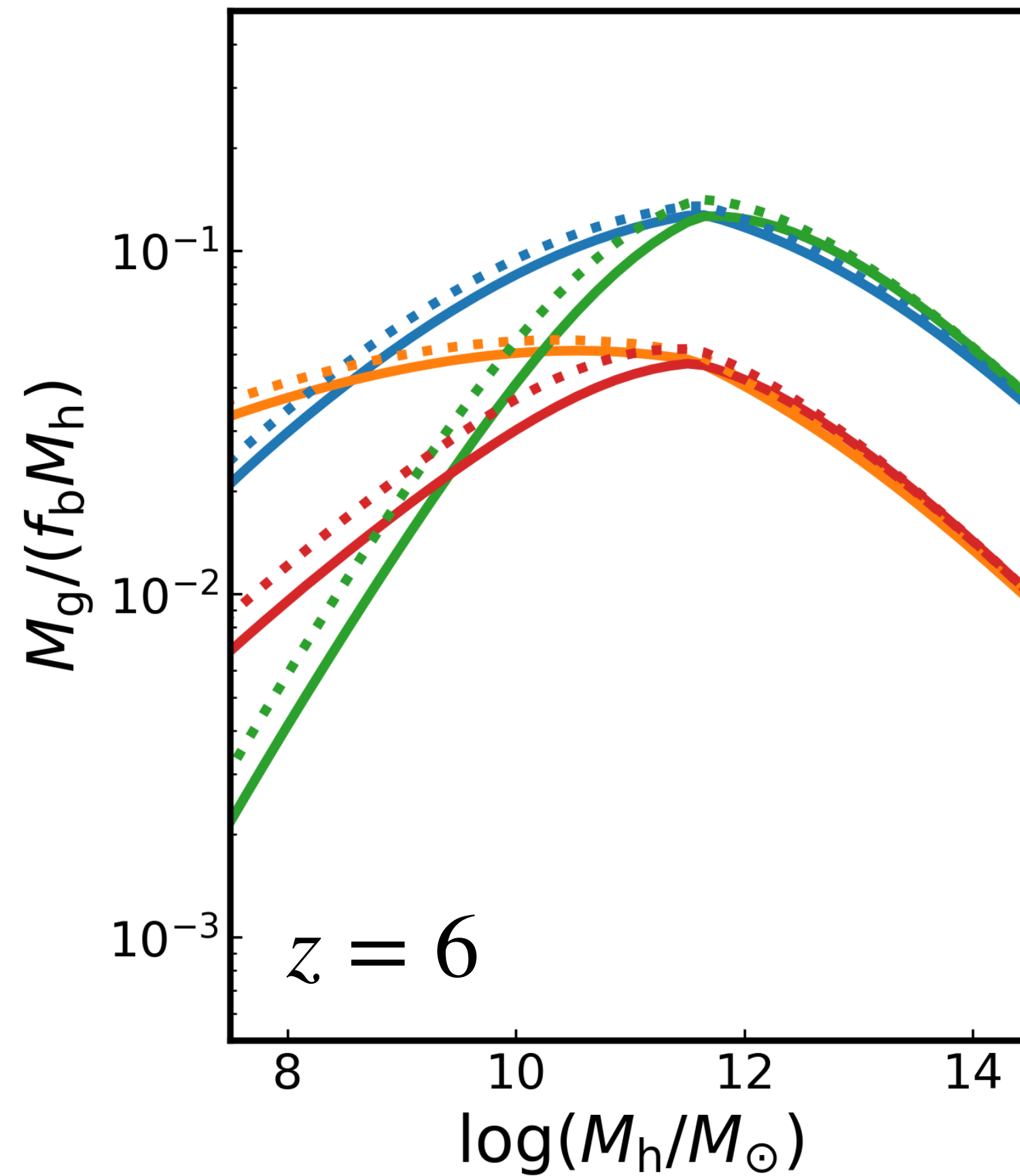
$$\tilde{M}'_Z = \left[y_Z - \eta \left(\tilde{M}_Z / \tilde{M}_g \right) \right] \tilde{M}'_\star$$

Metal mass

GS et al. (2025, in prep.; see also S. Furlanetto 21)

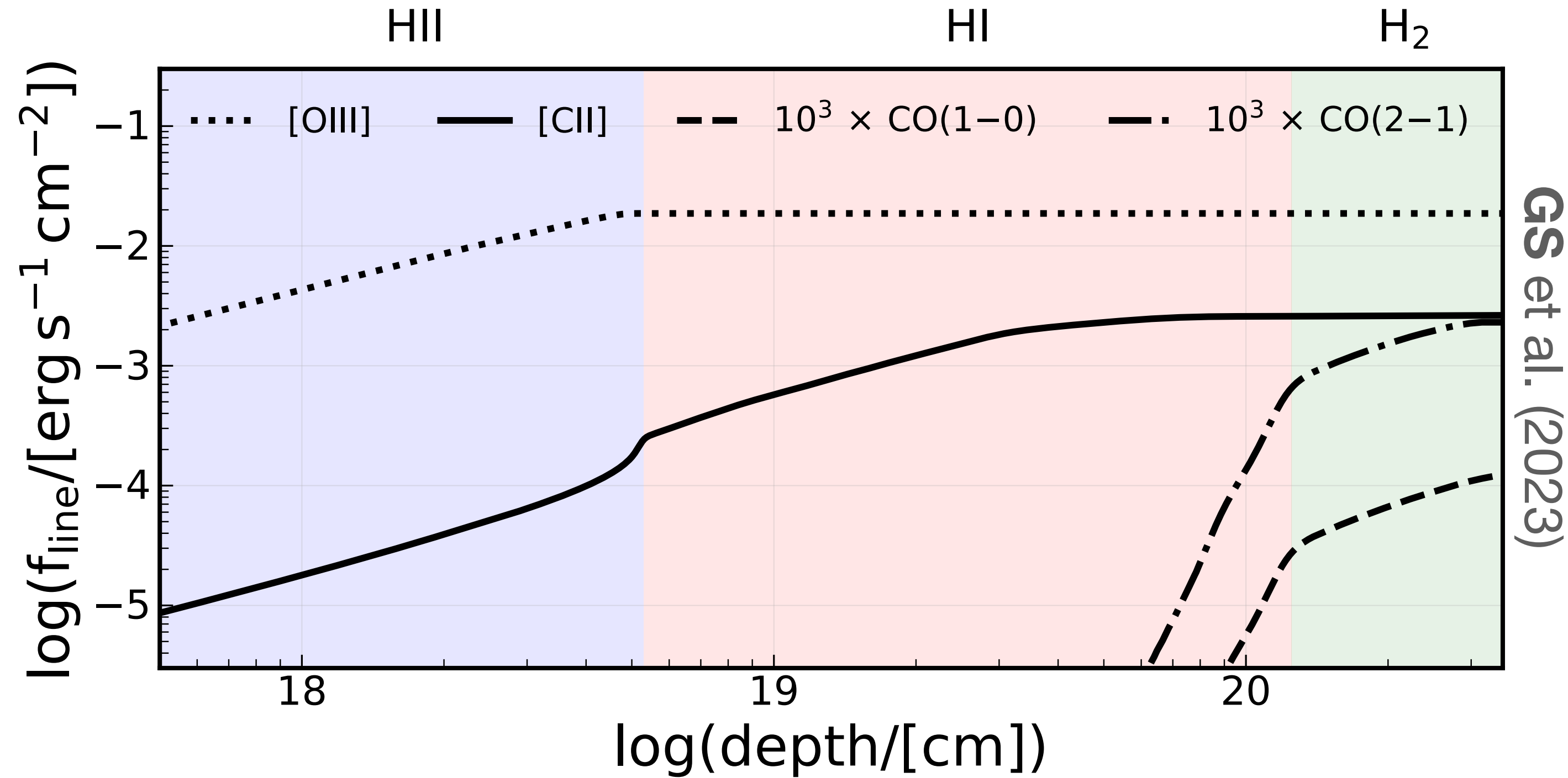
Halo properties respond differently to SFE & SF law

— M, KS ($\xi, \xi_z, \zeta = 1/3, 1/2, 1.4$) — E, KS ($\xi, \xi_z, \zeta = 2/3, 1, 1.4$) - - - M-r, KS ($\xi, \xi_z, \zeta = 1/3, -1/2, 1.4$) - - - E-r, KS ($\xi, \xi_z, \zeta = 2/3, -1, 1.4$)
— M, FQH13 ($\xi, \xi_z, \zeta = 1/3, 1/2, 2$) — E, FQH13 ($\xi, \xi_z, \zeta = 2/3, 1, 2$) - - - M-r, FQH13 ($\xi, \xi_z, \zeta = 1/3, -1/2, 2$) - - - E-r, FQH13 ($\xi, \xi_z, \zeta = 2/3, -1, 2$)

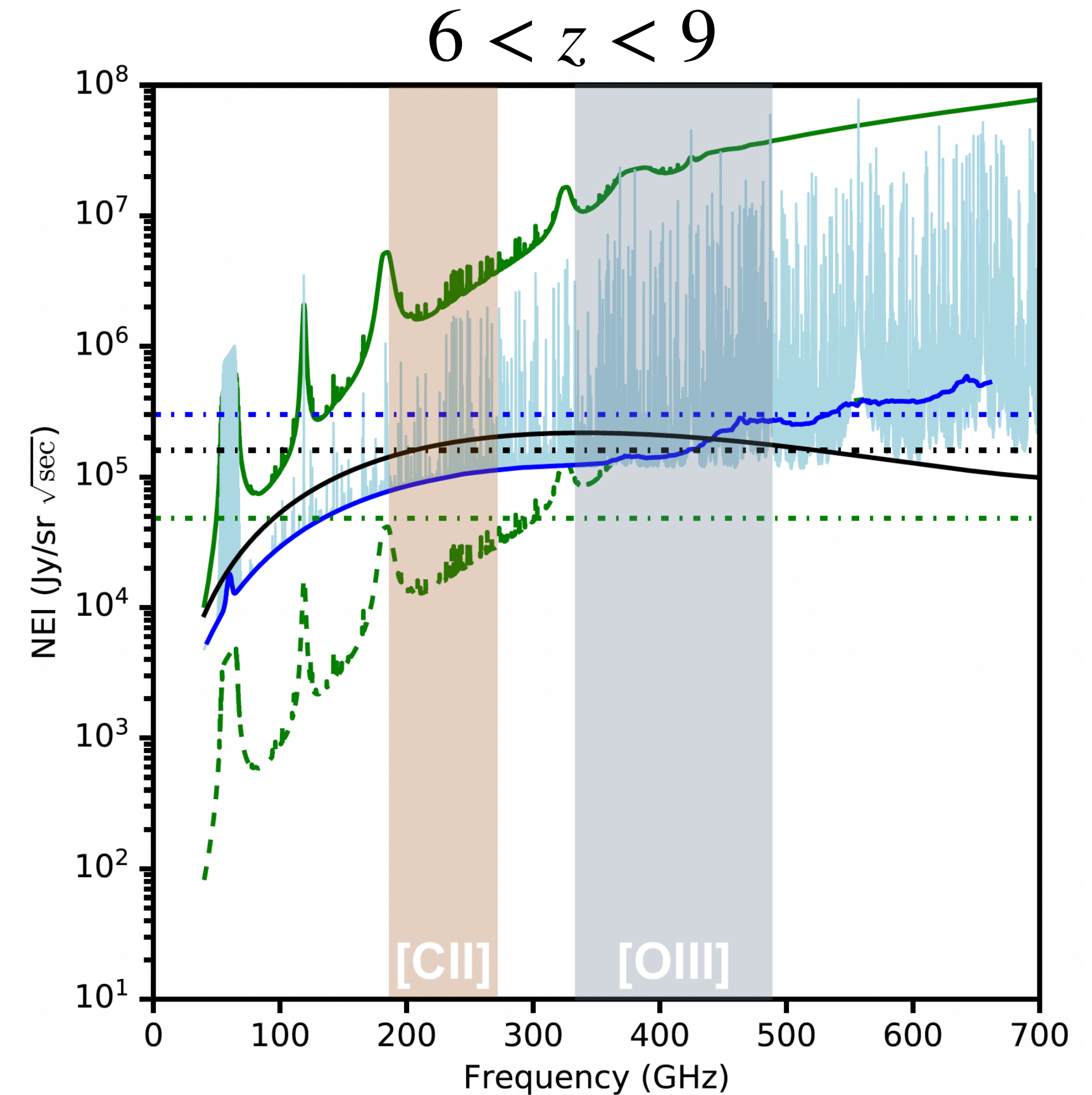


GS et al. (2025, in prep.)

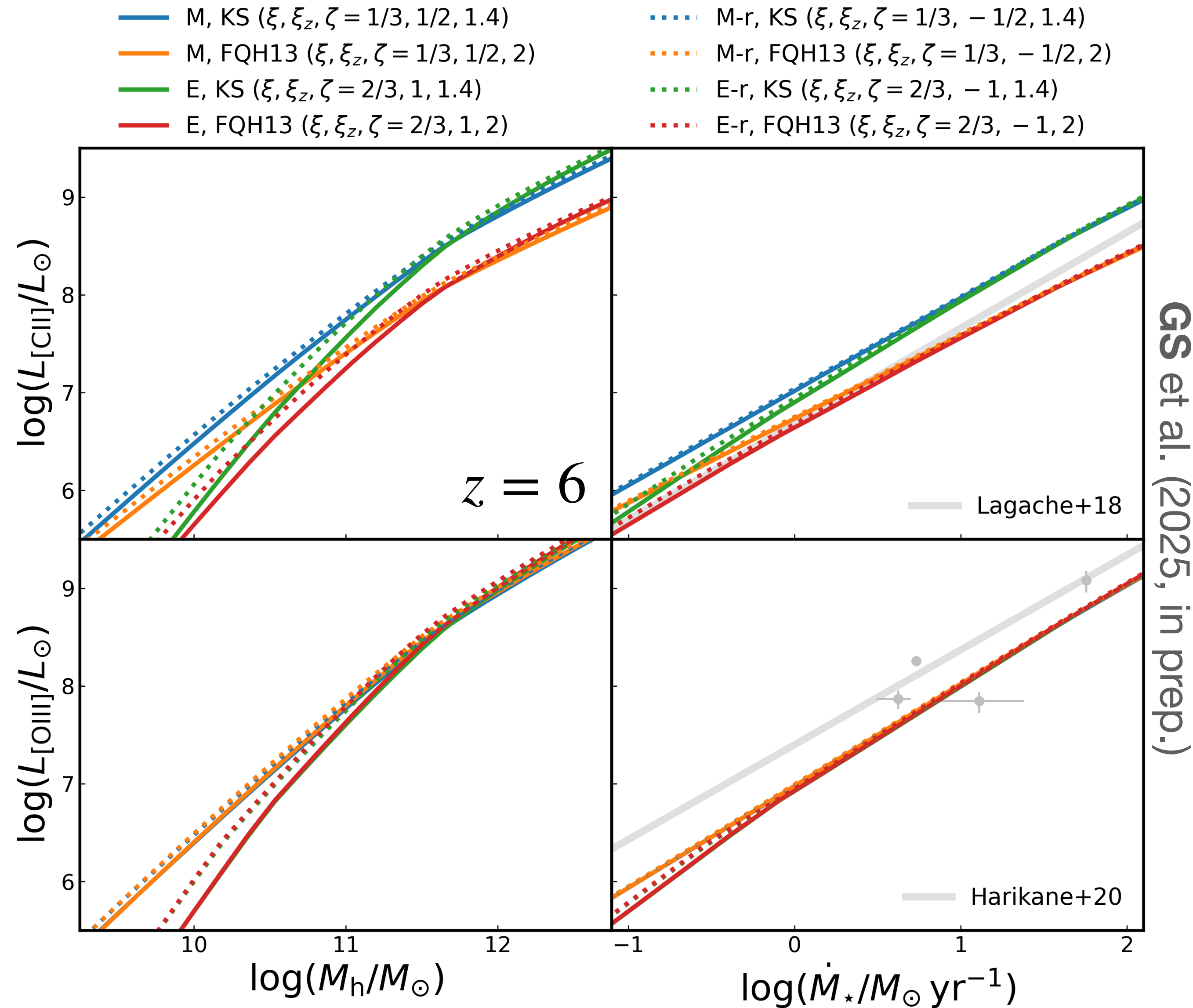
Multi-line emission: a toy model of multi-phase gas nebula



- CLOUDY-based line emissivities
- Convolved w/ turbulent GMC density PDF
- Scaled by halo stellar/gas mass content



$L_{[\text{CII}]}$ & $L_{[\text{OIII}]}$ under varying SFE & SF law assumptions

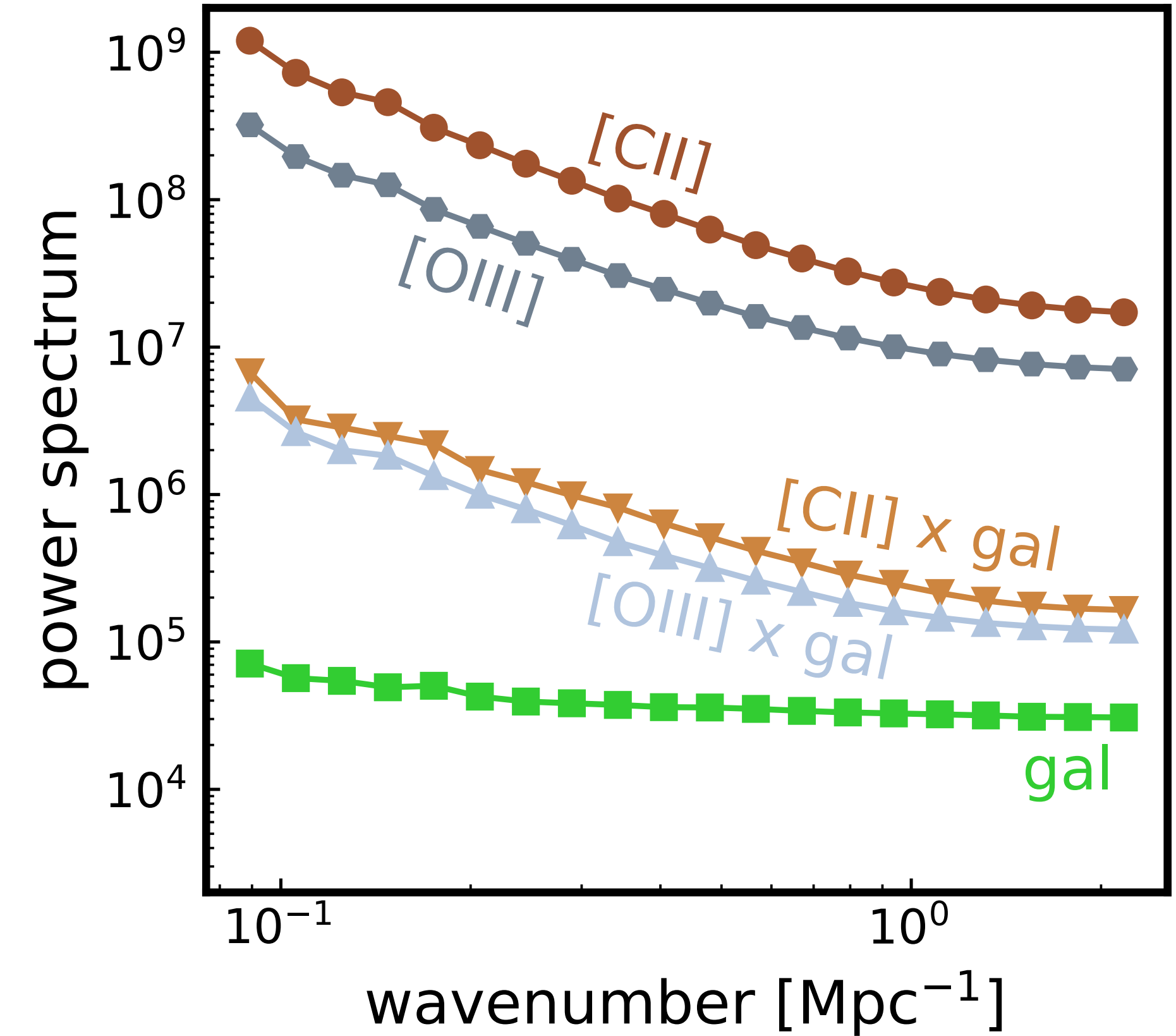
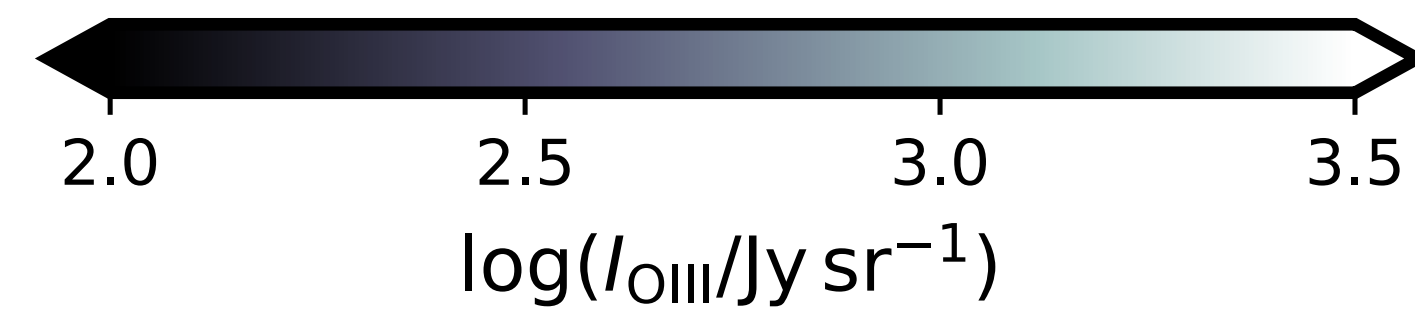
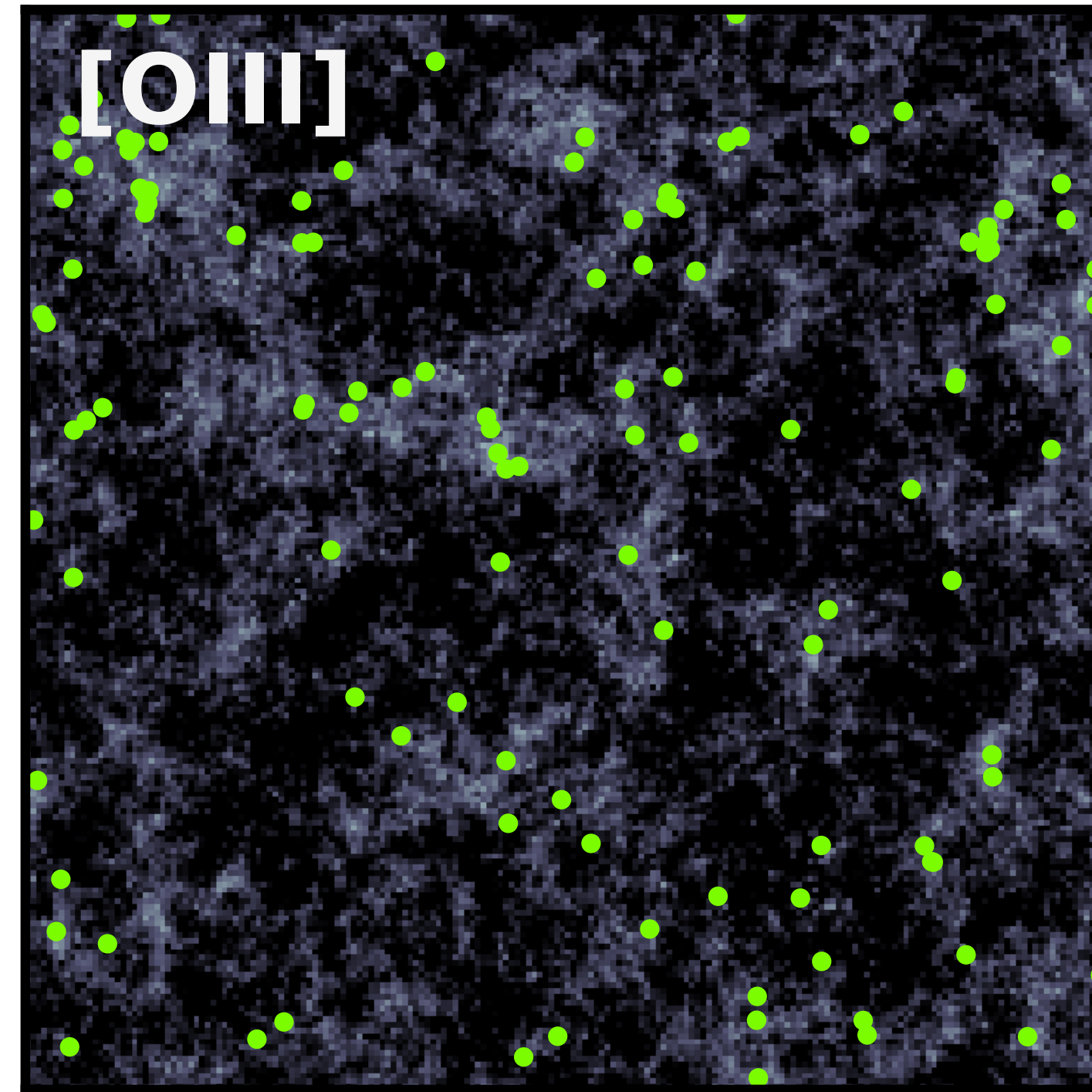
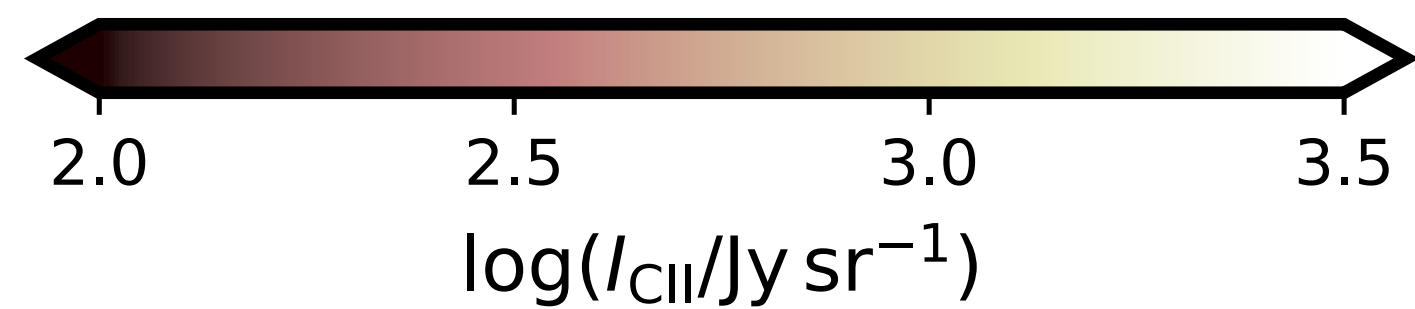
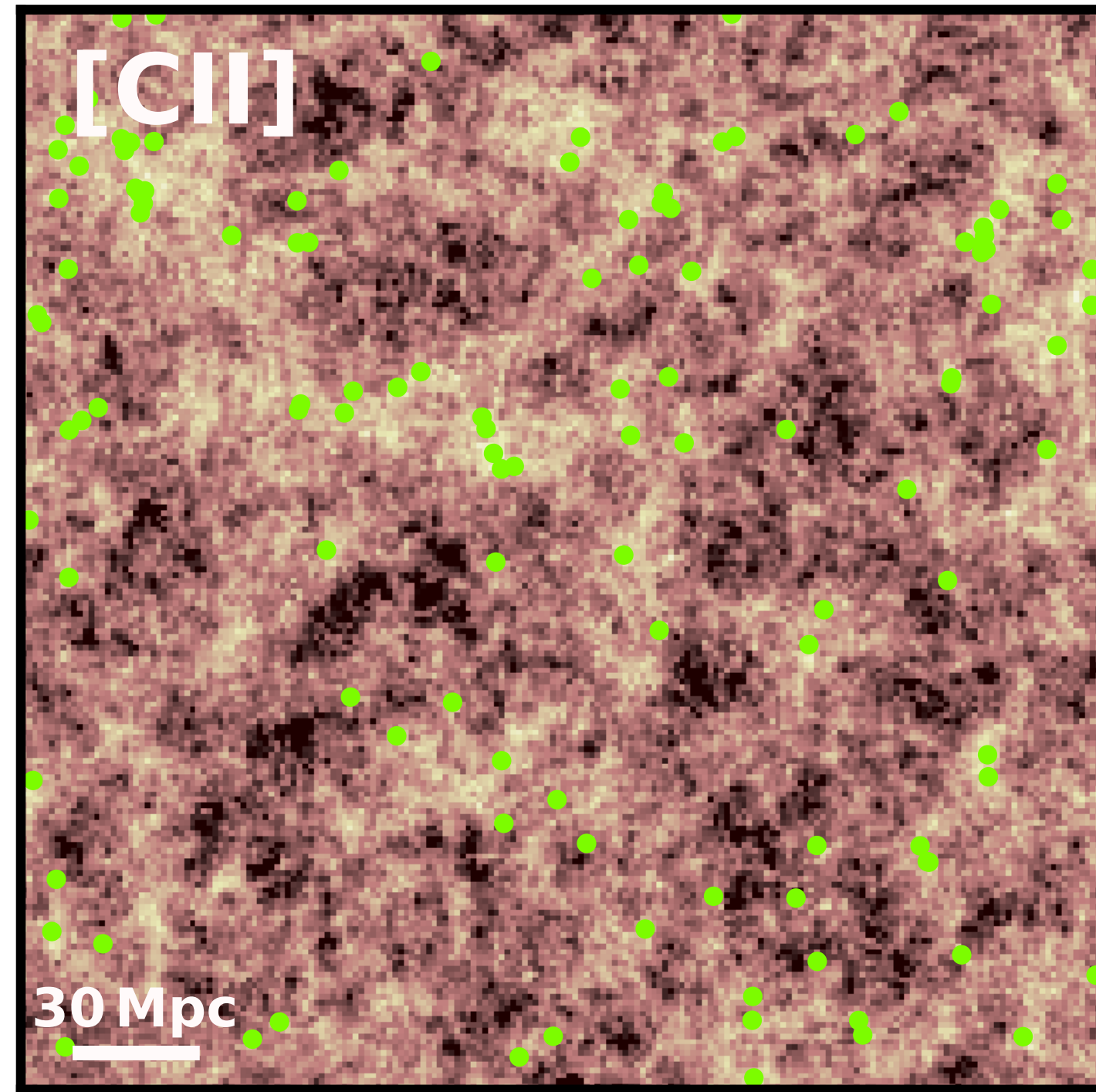


GS et al. (2025, in prep.)

- **[CII] affected by both SFE & SF law**
- **[OIII] affected ~solely by SFE**

Simulating [CII], [OIII], and their cross-correlation w/ LBGs

Roman LBGs with $m_{AB} < -27.2$

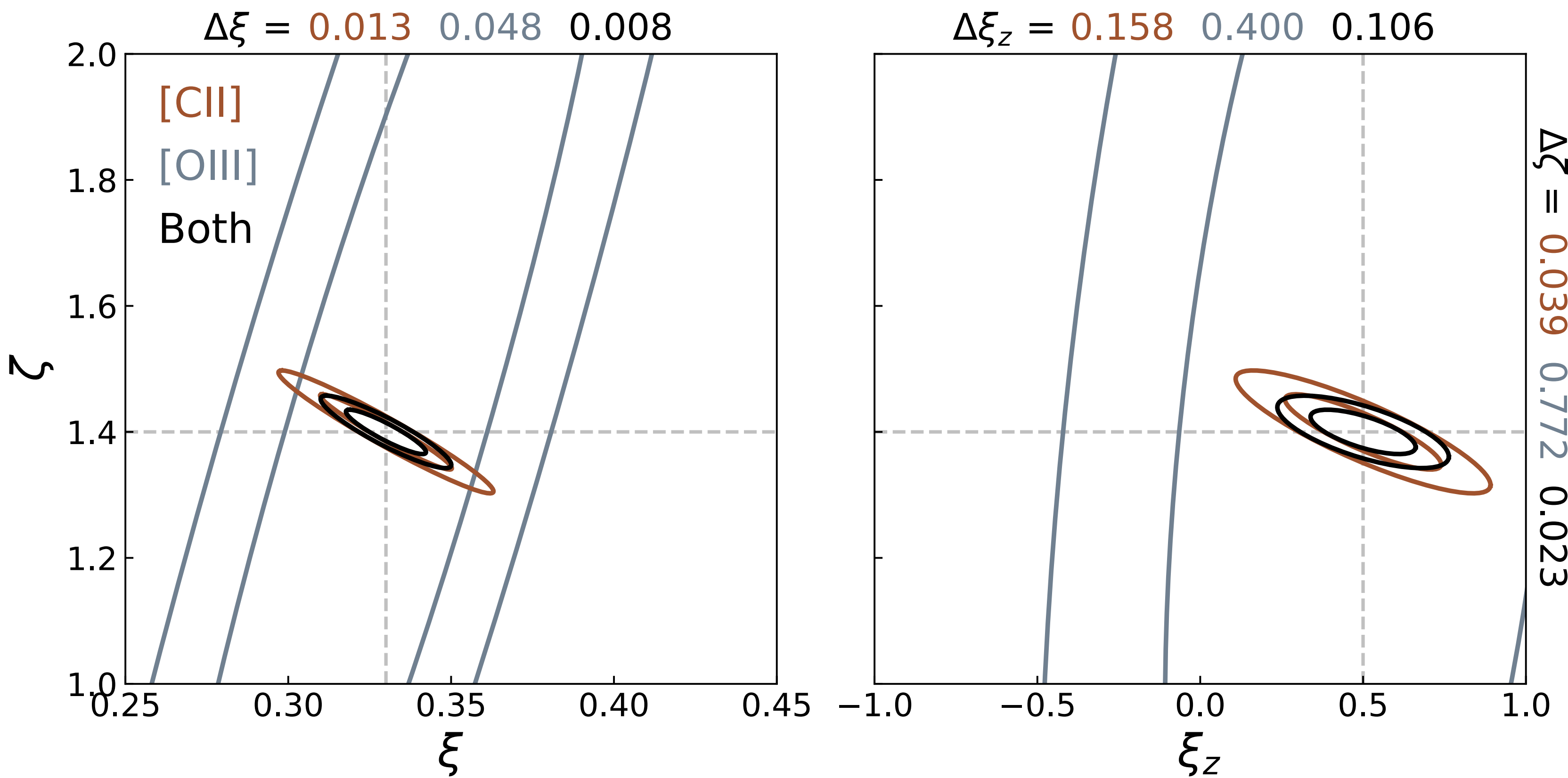


GS et al. (2025, in prep.)

Fisher matrix forecasts for [CII] & [OIII] joint analysis

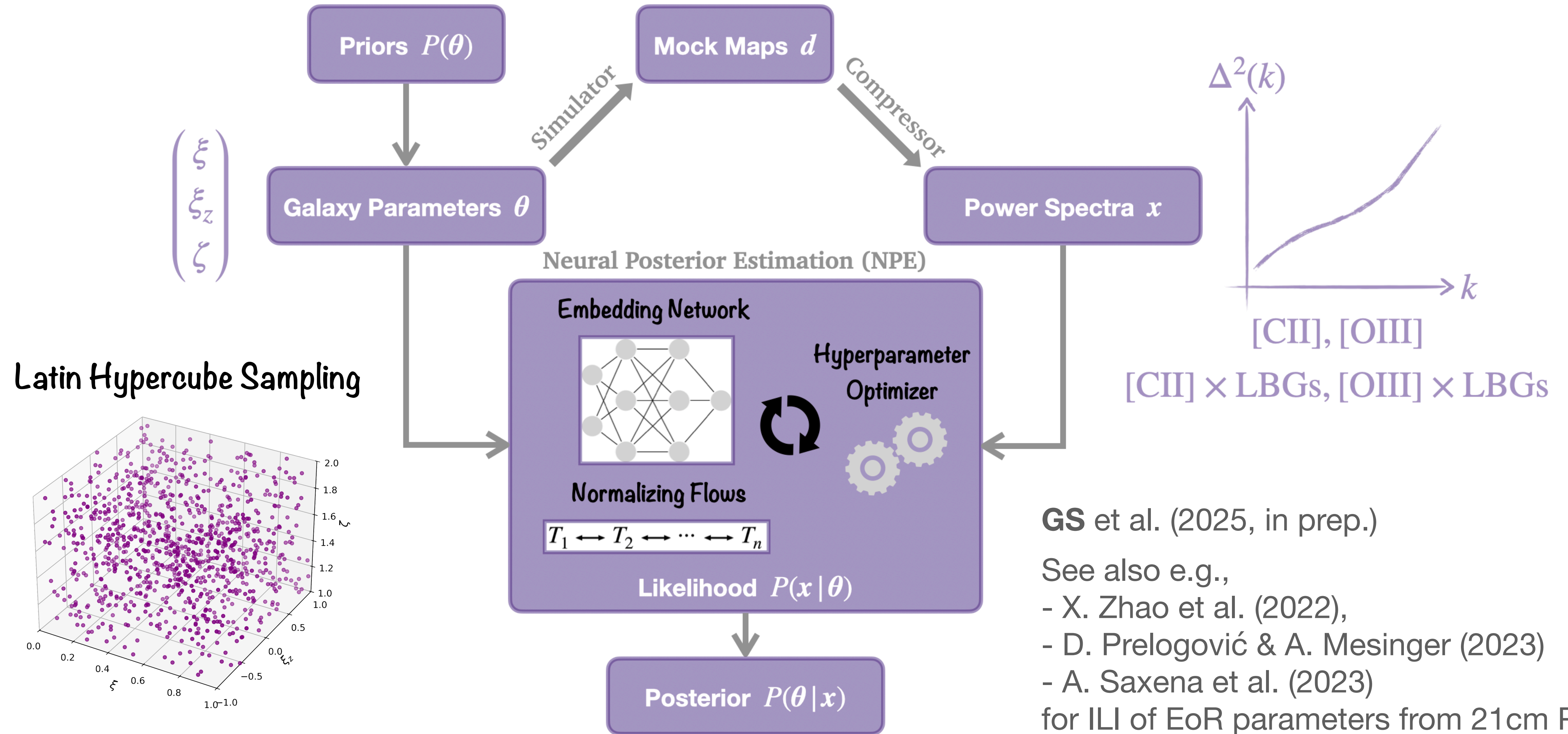
Table 1. Instrument specifications of the LIM survey targeting $z \sim 6$ FIR emission lines

Target	Ω_{survey} (deg ²)	t_{survey} (hr)	N_{pix}	$\delta\nu$ (GHz)	Ω_{beam} (′ ²)	V_{vox} (Mpc ³)	σ_{N} (Jy s ^{1/2} sr ⁻¹)	P_{N} ((Jy/sr) ² Mpc ³)
[C II]	4	4000	1000	3	0.6	17	5×10^5	2×10^8
[O III]	4	4000	1000	5	0.25	5	1×10^6	8×10^8

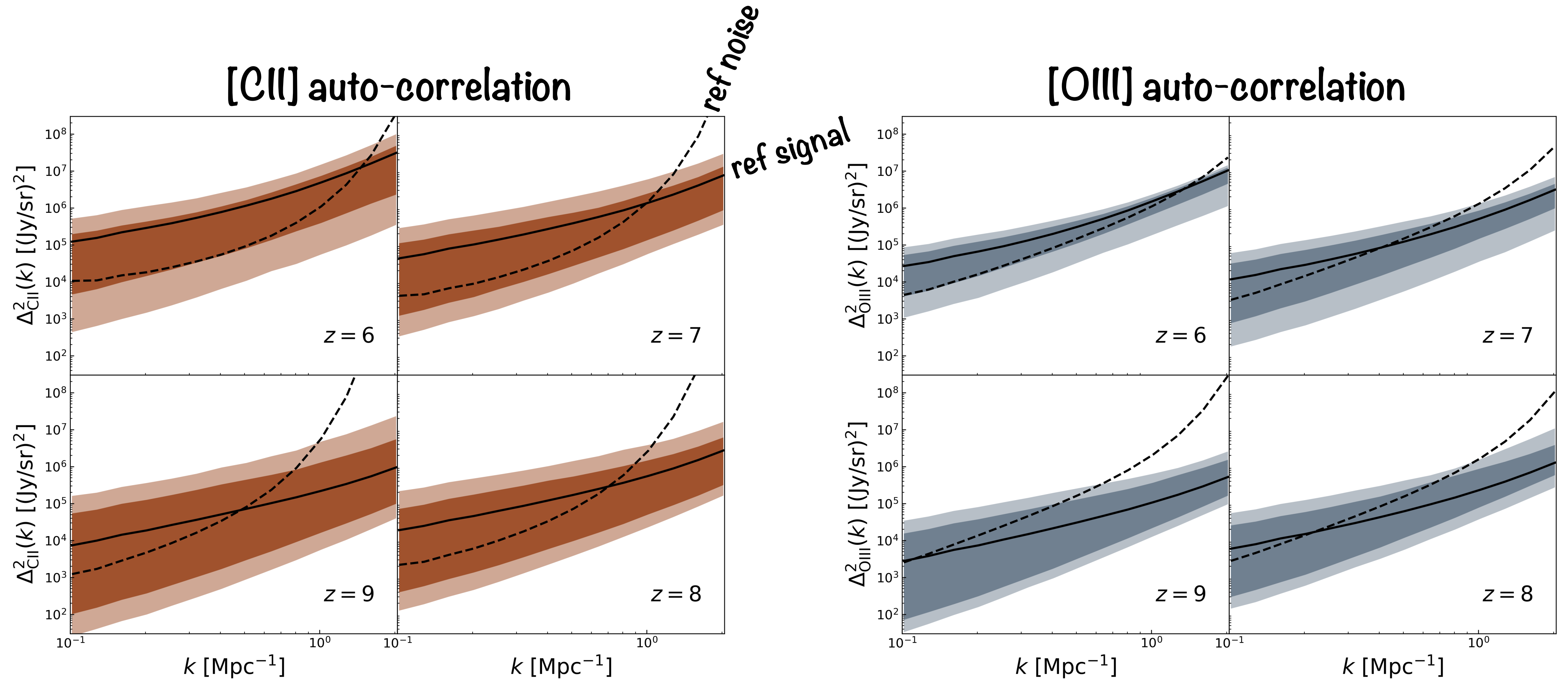


GS et al. (2025, in prep.)

Implicit likelihood inference (ILI) w/ LIMFAST-simulated PS



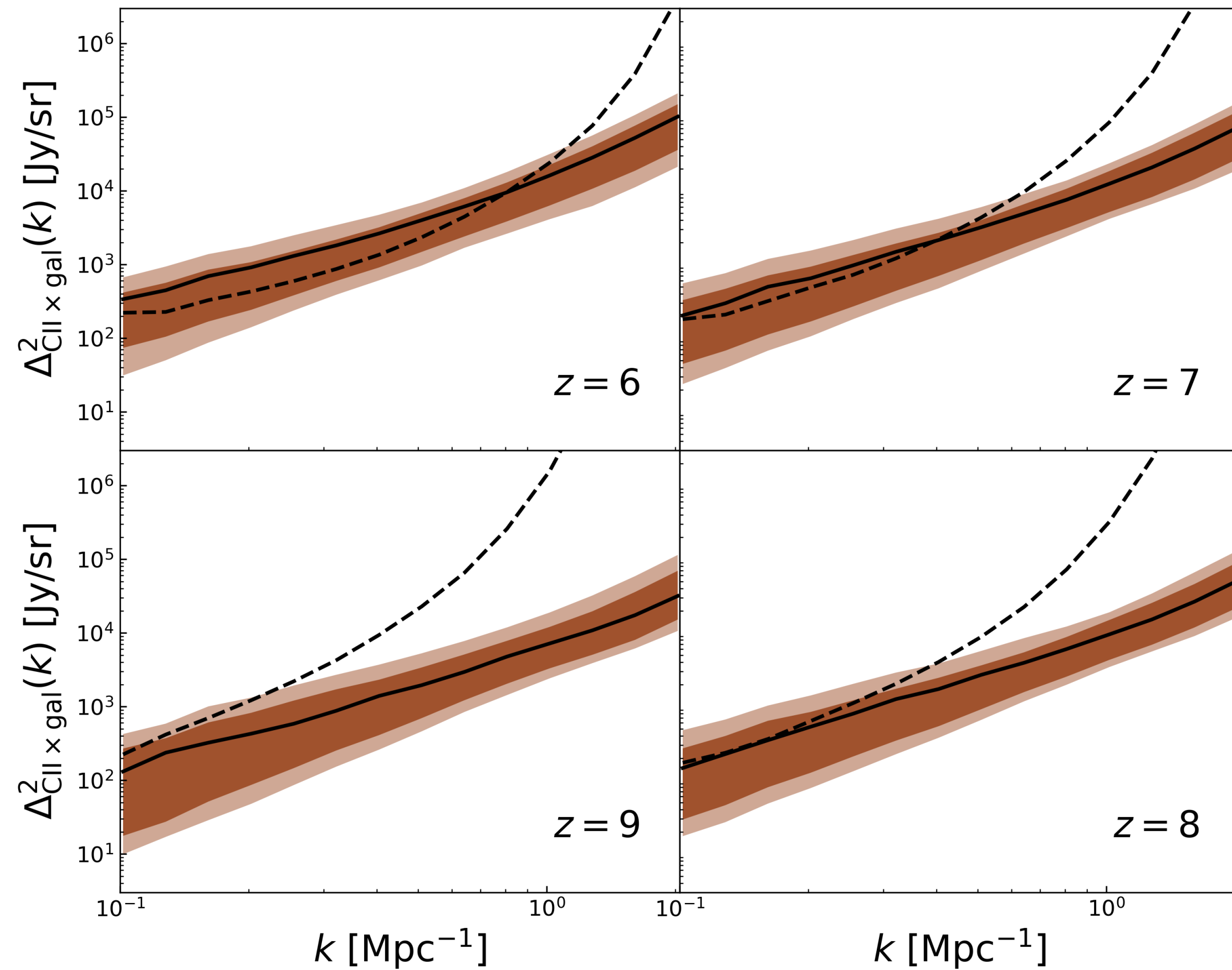
Power spectra of [CII], [OIII], and cross-correlation w/ LBGs



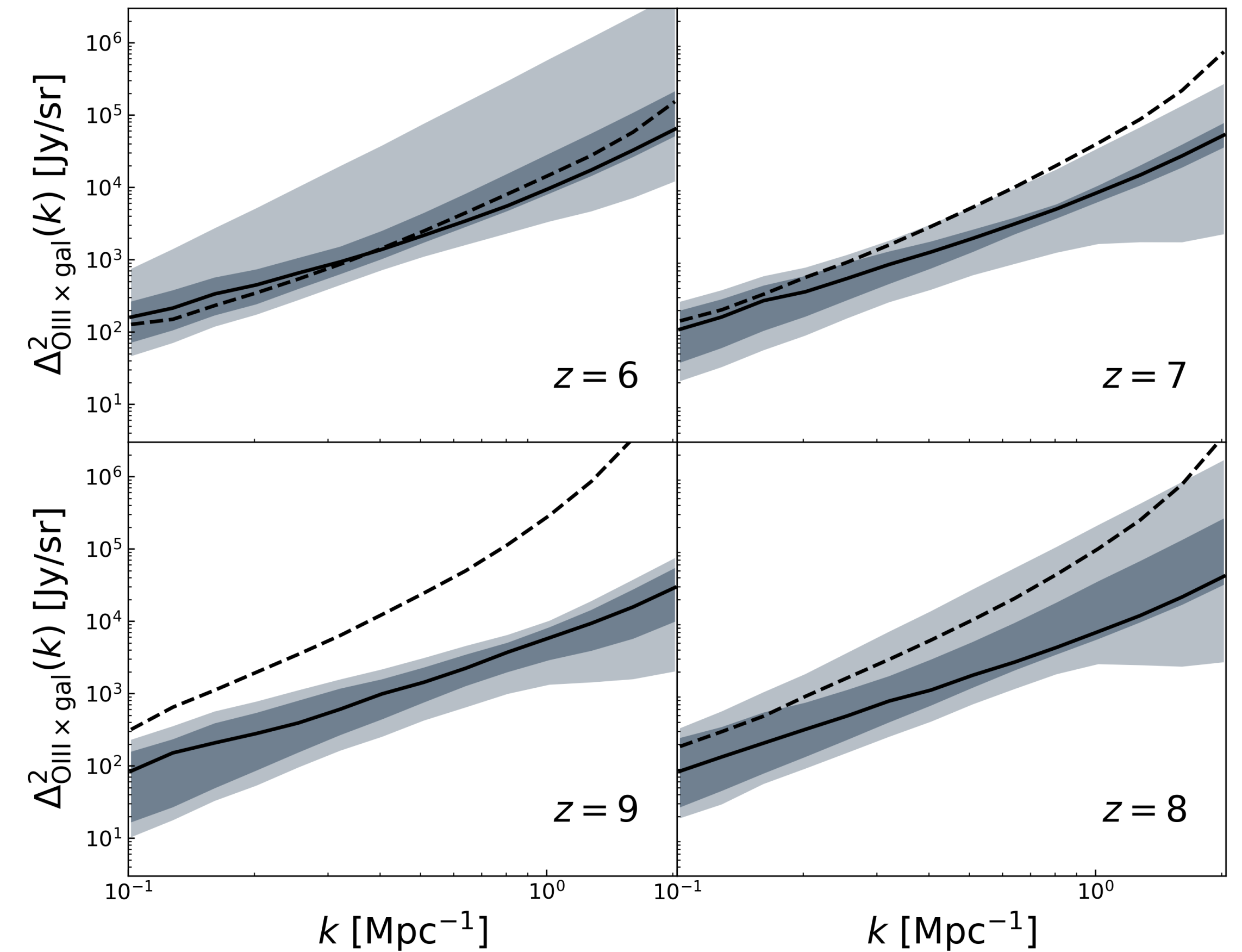
GS et al. (2025, in prep.)

Power spectra of [CII], [OIII], and cross-correlation w/ LBGs

[CII] x LBG cross-correlation

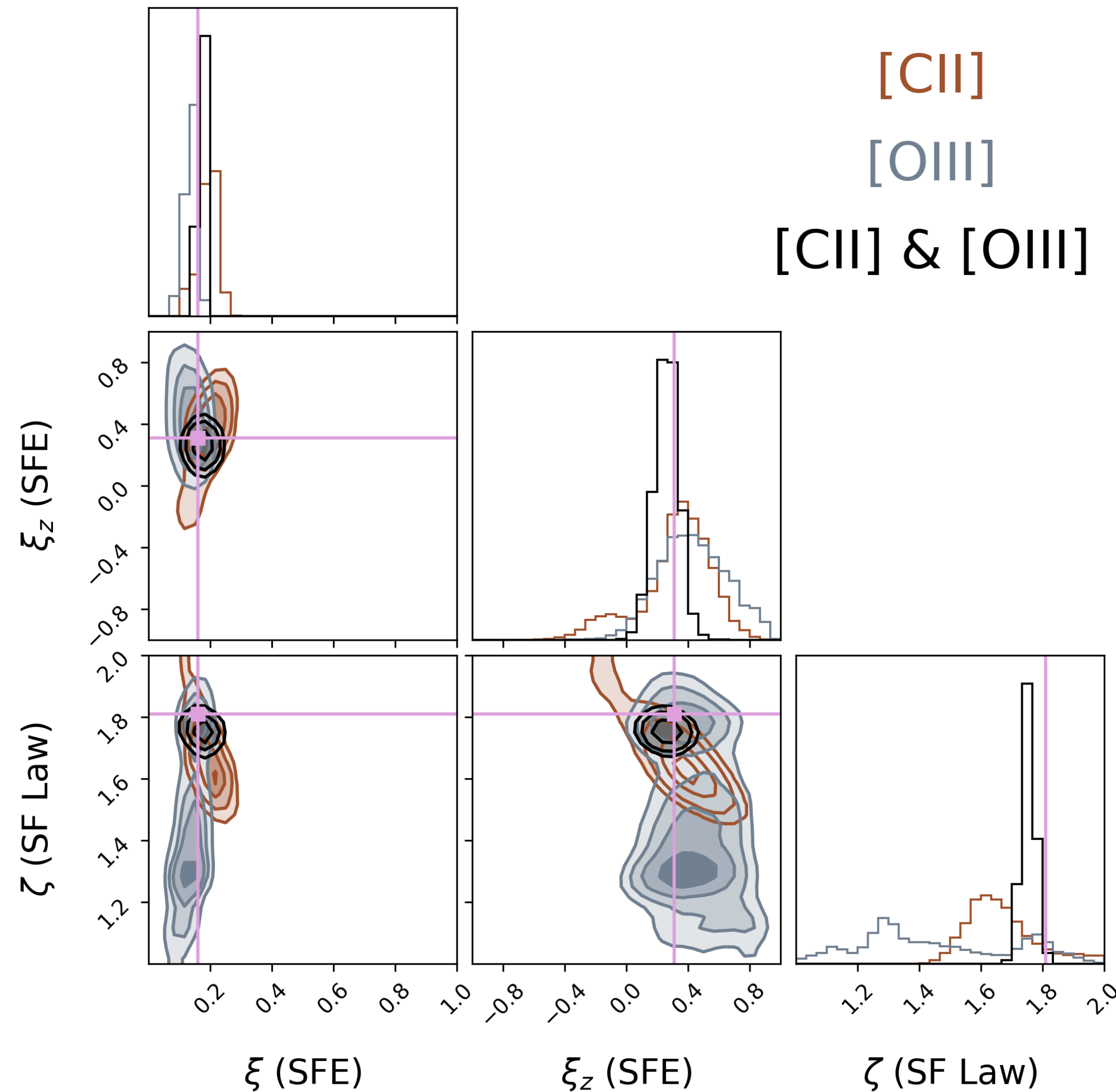


[OIII] x LBG auto-correlation



GS et al. (2025, in prep.)

Posterior from ILI w/ vs. w/o combining [CII] and [OIII]



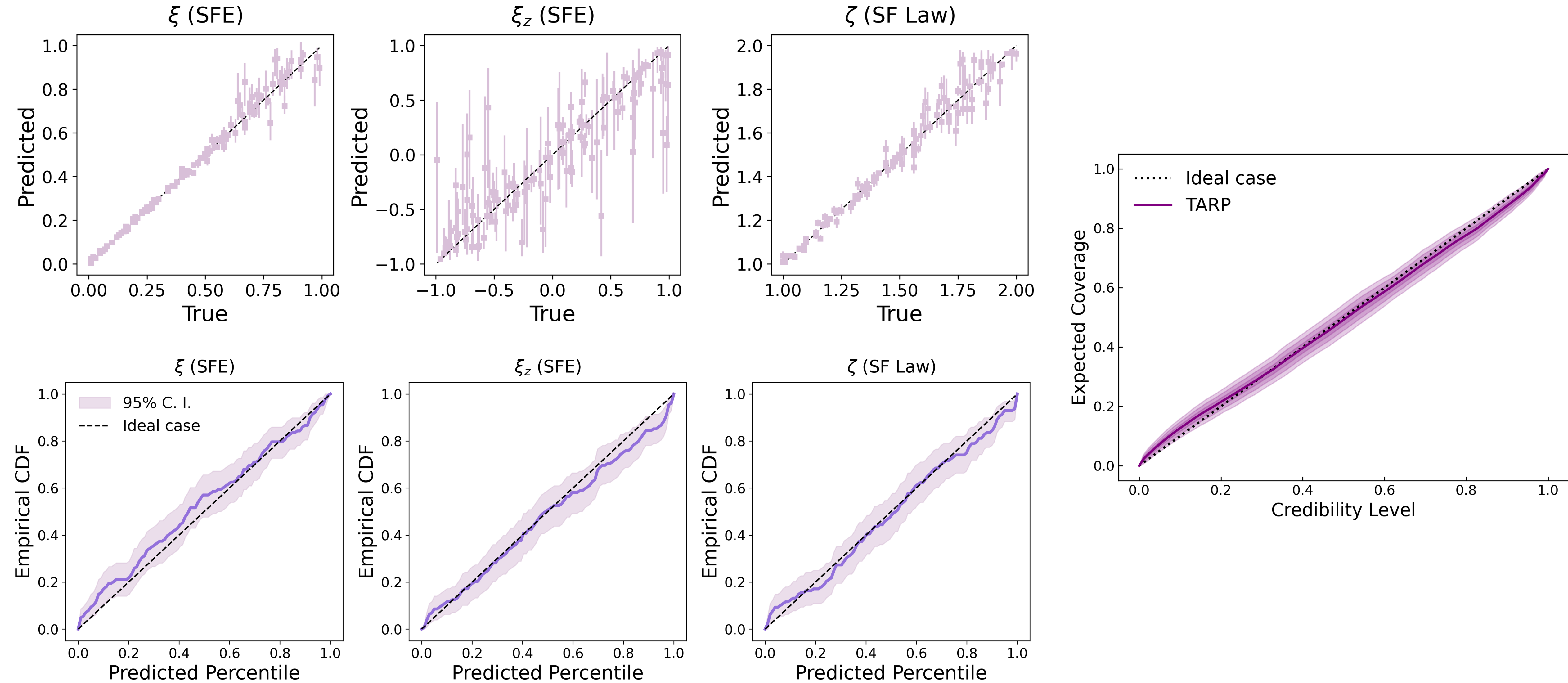
[CII]
[OIII]
[CII] & [OIII]

$$r_{\text{Pearson}} = -1$$
$$r_{\text{Pearson}} = 0.5$$
$$r_{\text{Pearson}} = -0.3$$

- Degeneracy reduced w/ [CII] & [OIII]
- Constraint on ζ greatly tightened

GS et al. (2025, in prep.)

Validating posterior predictiveness & coverage from ILI



GS et al. (2025, in prep.)

Summary

- **Multi-tracer IM provides a powerful way to statistically and collectively study physical processes that govern the formation and evolution of early galaxies.**
- **As an example, combining [CII] and [OIII] LIM statistics (in foreseeable future) allows us to understand the SFE and SF law of high-redshift galaxies.**
- **Compared with traditional, explicit-likelihood methods, IM enables more flexible and scalable analysis of galaxy formation physics using LIM summary statistics.**

BACK UP SLIDES