Estimation of backgrounds from jets misidentified as τ -leptons using the Universal Fake Factor method with the ATLAS detector

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Introduction

4 sources of fakes $\tau_{had-vis}$:

- Jets from *b*-quark (*b*)
- Jets from light quark (q)
- Jets from gluon (g)
- Jets from pile-up (p)

 τ -leptons can decay leptonically (35% branching fraction) or hadronically (65%). In hadronic τ -decays, only the visible decay products are reconstructed ($\tau_{had-vis}$). In analyses with $\tau_{had-vis}$ in final state, jets misidentified as $\tau_{had-vis}$ (fake $\tau_{had-vis}$) are a sizable background source. Monte Carlo (MC) generators cannot properly model this background and data-driven methods are necessary. The Fake Factor (FF) method is a data-driven technique to estimate the fake $\tau_{had-vis}$ background in a signal region (SR). Transfer factors (FF) are measured in dedicated control regions (CR) and applied to the antiID SR (i.e. with same cuts as SR but inverted $\tau_{had-vis}$ identification requirement).

Universal Fake Factor method

 $N_{\text{ID SR}}^{\text{fake}} = \left(N_{\text{antiID SR}}^{\text{data}} - N_{\text{antiID SR}}^{\text{real}} \right) \times \text{FF}$

The Universal Fake Factor (UFF) method [1] generalizes the FF method. 4 regions are defined, each enriched in one category of fake $\tau_{had-vis}$:

- $Z(\mu\mu)$ region enriched in q fake $\tau_{had-vis}$
- $t\bar{t}$ region enriched in *b* fake $\tau_{had-vis}$
- High-JVT multijet (MJ hJVT) region enriched in g fake $\tau_{had-vis}$
- Low-JVT multijet (MJ IJVT) region enriched in p fake $\tau_{had-vis}$





FFs are measured in each of the 4 regions in bins of $p_{\rm T}$ and number of tracks of $\tau_{\rm had-vis}$. In each bin and each antilD region, a template of ATLAS q/g tagger score [2] is built. The 4 templates are fitted to the analysis antilD SR to estimate the mixture of $Z(\mu\mu)$, $t\bar{t}$, MJ hJVT and MJ IJVT regions contributing to the antilD SR.

The combined FF suitable for the analysis SR is computed as the weighted average of FFs measured in the $Z(\mu\mu)$, $t\bar{t}$, MJ hJVT and MJ IJVT regions, with coefficients extracted from a template fit:

$$FF_{UFF} = \mu_{Z(\mu\mu)} \times FF_{Z(\mu\mu)} + \mu_{t\bar{t}} \times FF_{t\bar{t}} +$$

+ $\mu_{MJ hJVT} \times FF_{MJ hJVT} + \mu_{MJ IJVT} \times FF_{MJ IJVT}$

Template fit result for $W(\mu\nu)$ region as SR \blacksquare



Uncertainties

Statistical uncertainty

Total FF_{UFF} statistical uncertainty given by uncorrelated FF stat uncertainties and correlated uncertainties on fit coefficients:

$$\sigma_{\text{UFF, stat.}}^2 = \sum_X \mu_X^2 \sigma_{\text{FF}_X}^2 + \sum_{X,Y} \text{FF}_X \text{FF}_Y V_{XY}$$

with X and Y running over the 4 regions and V being the Hessian covariance matrix.

Systematic uncertainty

In each region, FFs for q/g/b/p fake $\tau_{had-vis}$ are evaluated using MC samples. Also two additional regions, $W(\mu v)$ and

 $\mu 3j$ (W(μν) events with Syst uncertainty evaluation for Z(μμ) FFs ▼ at least 3 jets) are used $g^{0.7}$ [ATLAS Simulation $-\mu_{3j}$ $-\mu_{3j}$ $-\mu_{2(μμ)}$]

Validation

The $W(\mu\nu)$ region is used to validate the UFF method. A comparison between UFF FFs and reference FFs (determined directly from ID to antilD ratio) is performed, showing agreement within the uncertainty.





Model prediction (fake $\tau_{had-vis}$ from UFF method, other processes from MC) with the data. Agreement is observed within the uncertainty.

in this case. A systematic $\int_{0}^{\infty} 0.6 \begin{bmatrix} \sqrt{s} = 13 \text{ TeV} \\ Ouark \text{ In} \end{bmatrix}$ — W(μv) _ Env. uncertainty is assigned $\overline{\underline{\mathbf{w}}}_{0.5}$ to $Z(\mu\mu)$ FFs using the 0.4 differences between $Z(\mu\mu)$ MC FFs and the FFs for q fake $\tau_{had-vis}$ calculated the in 0.1 additional regions. The same is done for the *р*_Т [GeV] other FFs using g, b or p fake $\tau_{had-vis}$. Systematic uncertainties are propagated to FF_{UFF} separately for each source.

 $m_{T}(\mu, E_{T}^{miss}) [GeV]$

 $m_{T}(\mu, E_{T}^{miss})$ [GeV] \blacktriangleleft Data/prediction comparison in $W(\mu\nu)$ region

The UFF method has the main advantage that FFs suitable for any SR can be obtained from a template fit and do not have to be measured in dedicated control regions. Hence, such regions can be exploited to validate the background prediction in the user analysis. The UFF method has been successfully employed by ATLAS analyses with both one [3] and two [4,5] $\tau_{had-vis}$ in the final state.



[1] arXiv:2502.04156, [2] arXiv: 2308.00716, [3] arXiv: 1807.07915, [4] arXiv: 2305.12938, [5] arXiv:2503.19836 EPS-HEP Conference, 7-11 July 2025, Marseille, France

Data

