

Interference effects in resonant di-Higgs production in the SM+S

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Based on [JHEP 04 \(2025\) 094, 2409.06651](#) [hep-ph] in collaboration with
Finn Feuerstake (Lebniz Uni Hannover), Tania Robens (Boskovic Inst. Zagreb), Daniel Winterbottom (Imperial College London)



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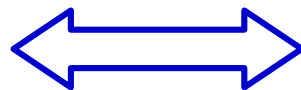
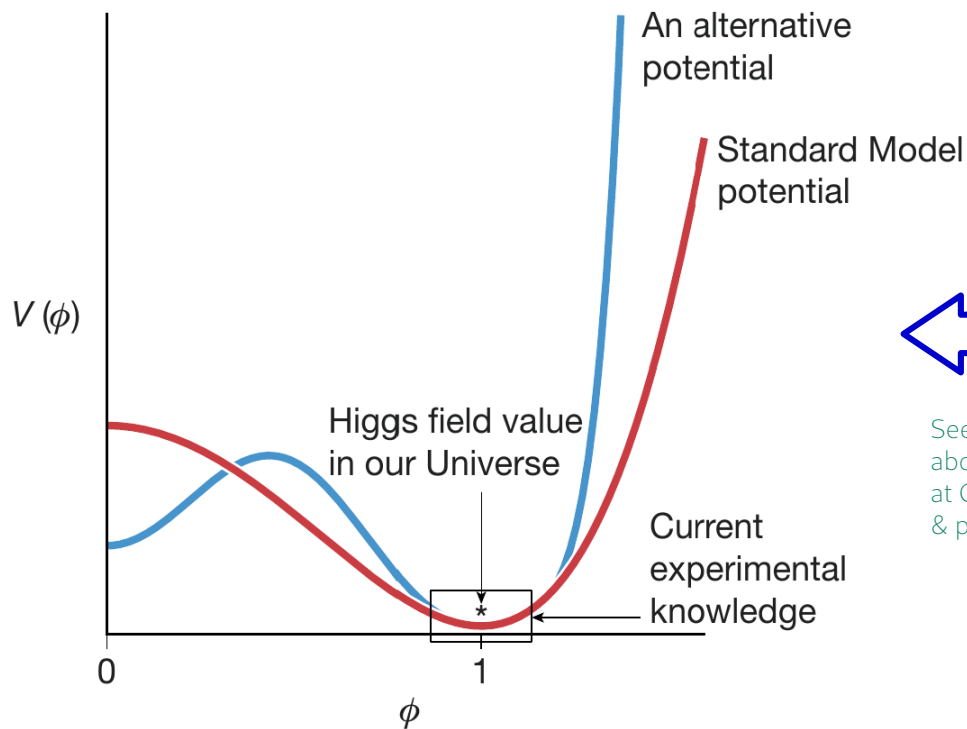


Take-home messages

1. Finite-width and interference effects are relevant and need to be taken into account.
2. The SM+S features relevant interference between resonant & non-resonant di-Higgs production.
3. Beyond m_{hh} , also p_T^h and other variables are sensitive to interference.
4. We provide bounds on SM+S and characteristic benchmarks.
5. We introduce a new public tool HHReweighter to reweigh matrix elements for a fast & accurate inclusion of interference effects in various models.

Motivation I: Higgs self-coupling

G. Salam, L.T. Wang, G. Zanderighi, "The Higgs turns 10", Nature 607 (2022)

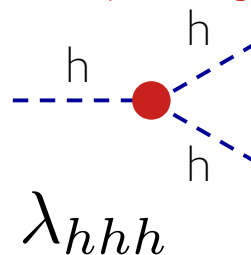


See talks on Tue/Wed
about di-Higgs searches
at CMS, ATLAS, HL-LHC
& predictions

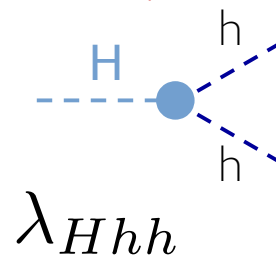
SM: minimal Higgs potential

Probe by di-Higgs production

SM triple Higgs

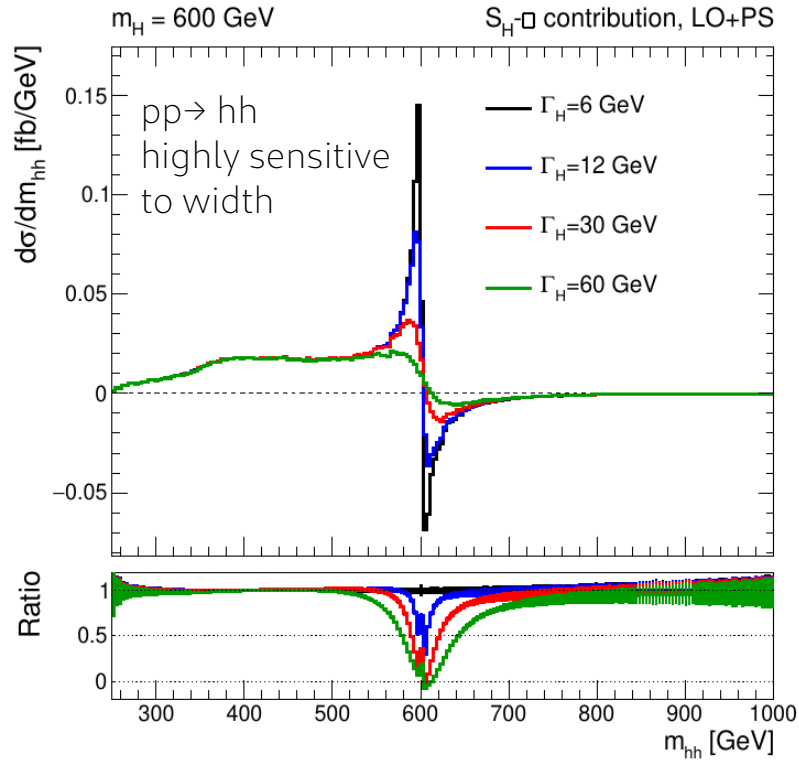


BSM triple scalar

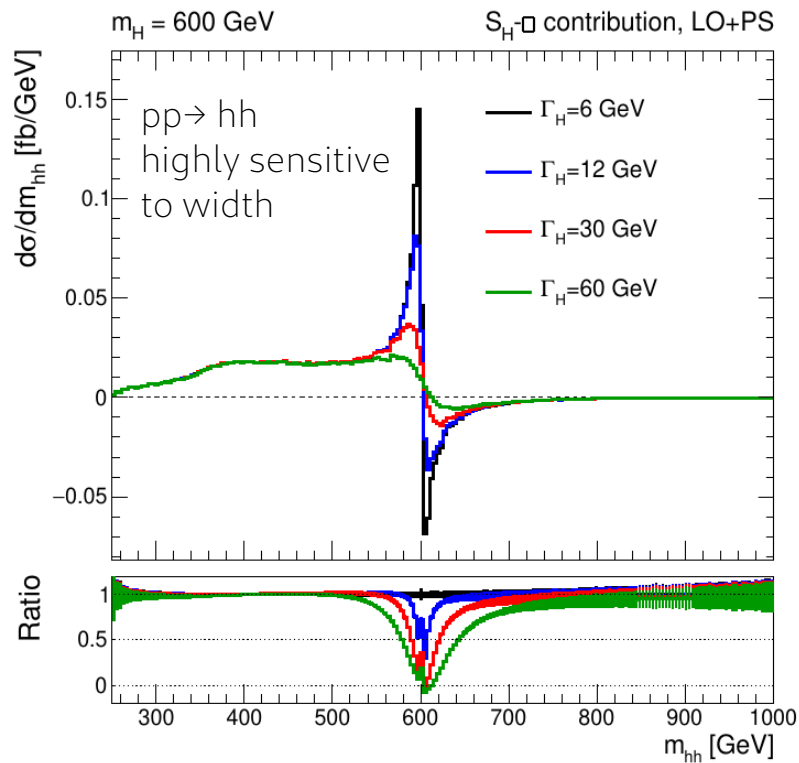


Accurate (B)SM prediction of hh production crucial to interpret valuable (HL-)LHC hh data

Motivation II: the total width



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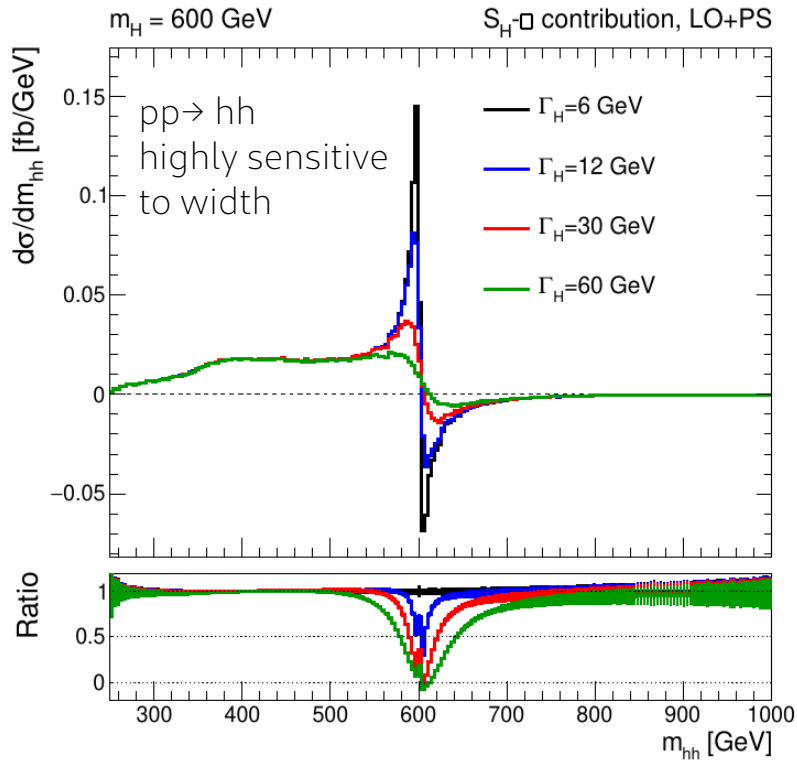


Full **propagator**: resummation of all self-energy insertions

$$\Delta_{ii} = \text{---} \overset{i}{\circlearrowleft} \text{---} \overset{i}{\circlearrowleft} \text{---} = \text{---} \overset{i}{\circlearrowleft} \text{---} \overset{i}{\circlearrowleft} \hat{\Sigma}_{ii} \text{---} \overset{i}{\circlearrowleft} \text{---} + \text{---} \overset{i}{\circlearrowleft} \text{---} \overset{i}{\circlearrowleft} \hat{\Sigma}_{ii} \text{---} \overset{i}{\circlearrowleft} \hat{\Sigma}_{ii} \text{---} \overset{i}{\circlearrowleft} \text{---} + \dots$$

$$+ \text{---} \overset{i}{\circlearrowleft} \text{---} \overset{j}{\circlearrowleft} \hat{\Sigma}_{ij} \text{---} \overset{j}{\circlearrowleft} \hat{\Sigma}_{ji} \text{---} \overset{i}{\circlearrowleft} \text{---} + \text{---} \overset{i}{\circlearrowleft} \text{---} \overset{k}{\circlearrowleft} \hat{\Sigma}_{ik} \text{---} \overset{k}{\circlearrowleft} \hat{\Sigma}_{ki} \text{---} \overset{i}{\circlearrowleft} \text{---} + \mathcal{O}(\hat{\Sigma}^3)$$

Motivation II: the total width



Full **propagator**: resummation of all self-energy insertions

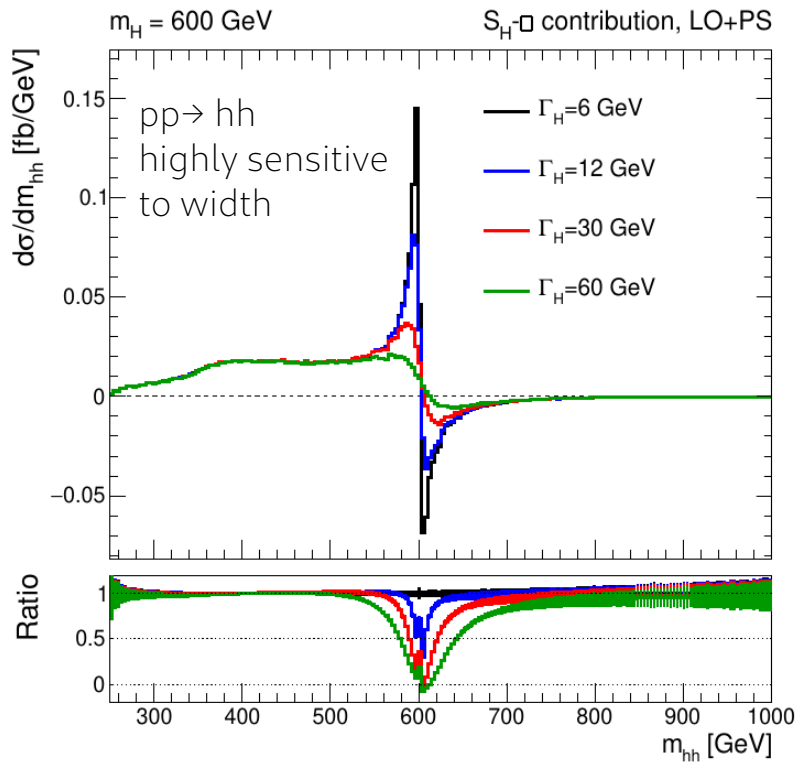
$$\Delta_{ii} = \text{diagram with a shaded circle} = \text{diagram with a circle labeled } \hat{\Sigma}_{ii} = \text{diagram with two circles labeled } \hat{\Sigma}_{ii} = \text{diagram with two circles labeled } \hat{\Sigma}_{ij} \text{ and } \hat{\Sigma}_{ji} = \text{diagram with two circles labeled } \hat{\Sigma}_{ik} \text{ and } \hat{\Sigma}_{ki} + \mathcal{O}(\hat{\Sigma}^3)$$

Breit-Wigner propagator of a resonance at mass m :

$$\Delta(p^2) = \frac{i}{p^2 - m^2 + im\Gamma}$$

Total width Γ determined by self-energies

Motivation II: the total width



Full **propagator**: resummation of all self-energy insertions

$$\Delta_{ii} = \text{diagram with a shaded circle} = \text{diagram with one circle } \hat{\Sigma}_{ii} + \text{diagram with two circles } \hat{\Sigma}_{ii} \hat{\Sigma}_{ii} + \text{diagram with three circles } \hat{\Sigma}_{ij} \hat{\Sigma}_{ji} + \text{diagram with three circles } \hat{\Sigma}_{ik} \hat{\Sigma}_{ki} + \mathcal{O}(\hat{\Sigma}^3)$$

Breit-Wigner propagator of a resonance at mass m :

$$\Delta(p^2) = \frac{i}{p^2 - m^2 + im\Gamma}$$

Total width Γ determined by self-energies

The total width is a model prediction, not a free parameter, and influences the #events.

SM + Singlet

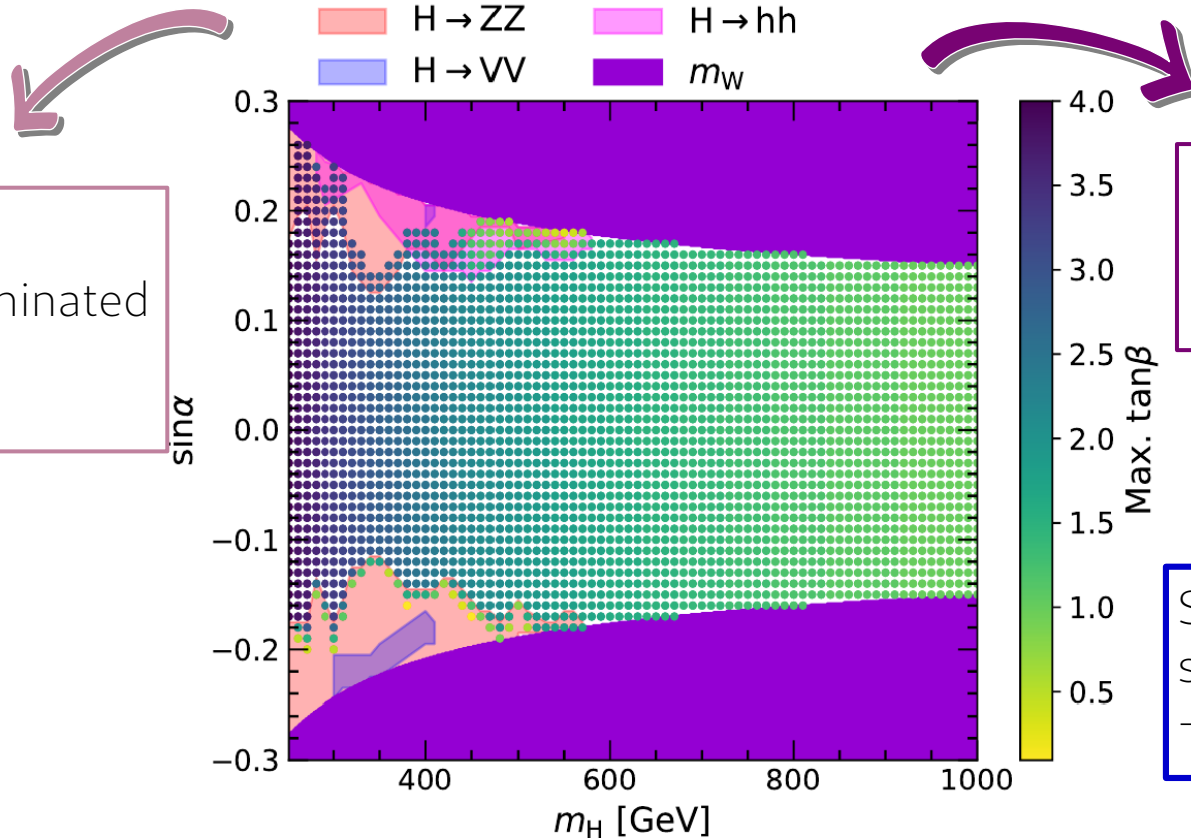
- Simplest BSM model with resonance-enhanced di-Higgs production:
SM + singlet scalar S with \mathbb{Z}_2 symmetry

$$V(\Phi, S) = -m^2 \Phi^\dagger \Phi - \mu^2 S^2 + \lambda_1 (\Phi^\dagger \Phi)^2 + \lambda_2 S^4 + \lambda_3 \Phi^2 \Phi S^2$$

- 2 physical Higgs bosons: h and H
 - 5 free parameters: $m_h, m_H, v, \alpha, \tan \beta = v/v_S$
-
- 2 fixed by experiment
- 3 remaining free parameters

- Interested in hh final state from $H \rightarrow hh$ \Rightarrow choose $m_H > m_h = 125 \text{ GeV}$
- Couplings of SM-like h are modified by mixing angle $\cos \alpha$

SM+S: allowed parameter space



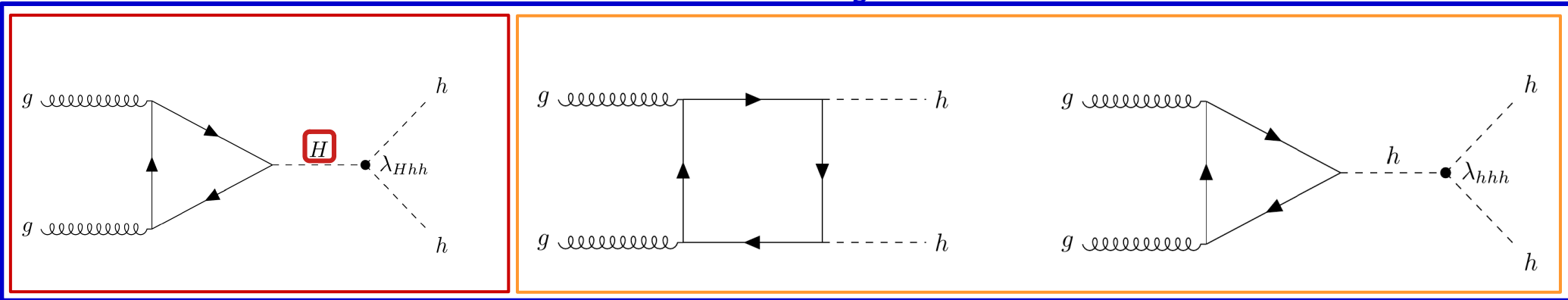
At low m_H :
Exclusion dominated
by H decays
into bosons

At high m_H :
Exclusion dominated by
H contribution to m_W

Still interesting parameter
space open with sub-TeV H
→ understand

(Non-)resonant di-Higgs production

Total contribution of leading terms



resonant (H)

Non-resonant (withouth H)

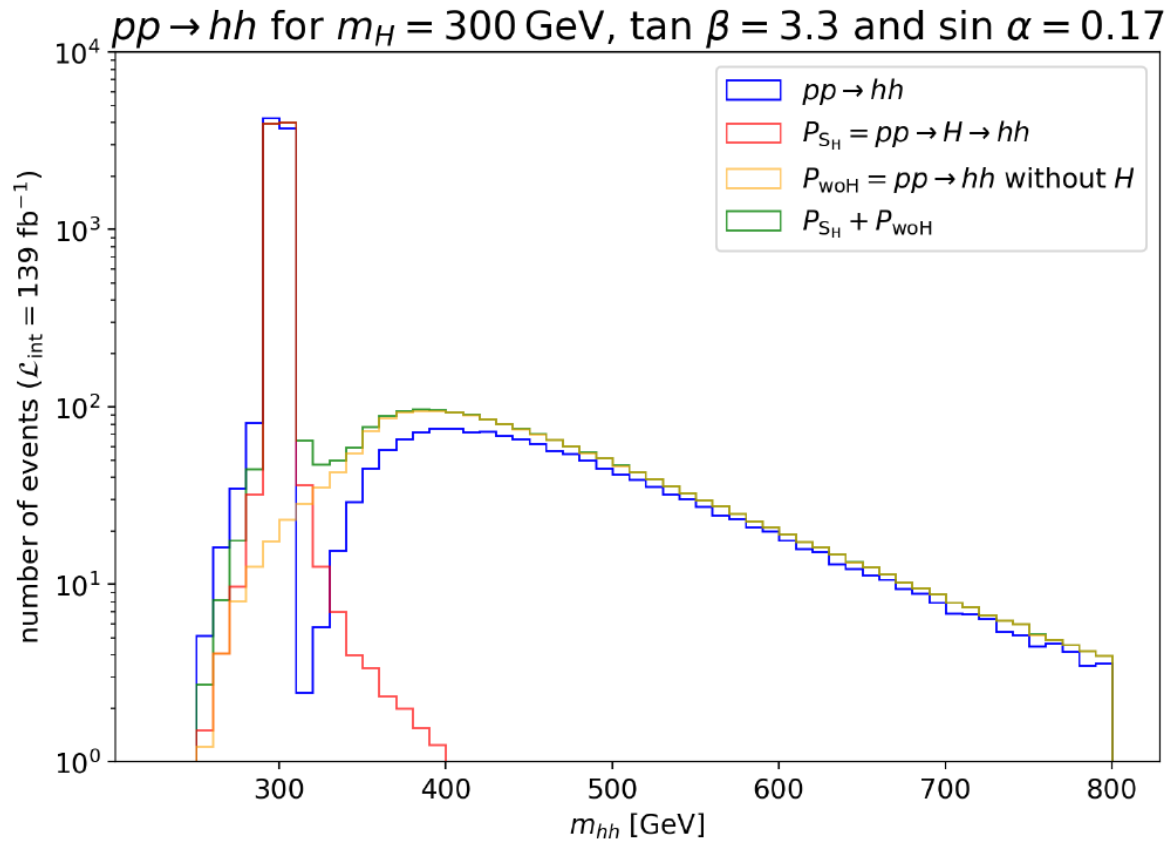
• Investigate interference $\sigma_{\text{int}} = \underbrace{\sigma_{\text{total}}}_{\text{Coherent sum}} - \underbrace{(\underbrace{\sigma_H}_{\text{resonant}} + \underbrace{\sigma_{\text{wo}H}}_{\text{non-resonant}})}_{\text{Incoherent sum}}$

- Simulation in MadGraph based on 2-real-singlet model file (2nd singlet decoupled)

Papaefstathiou, Robens, Tetlamazi-X. JHEP 05 (2021)

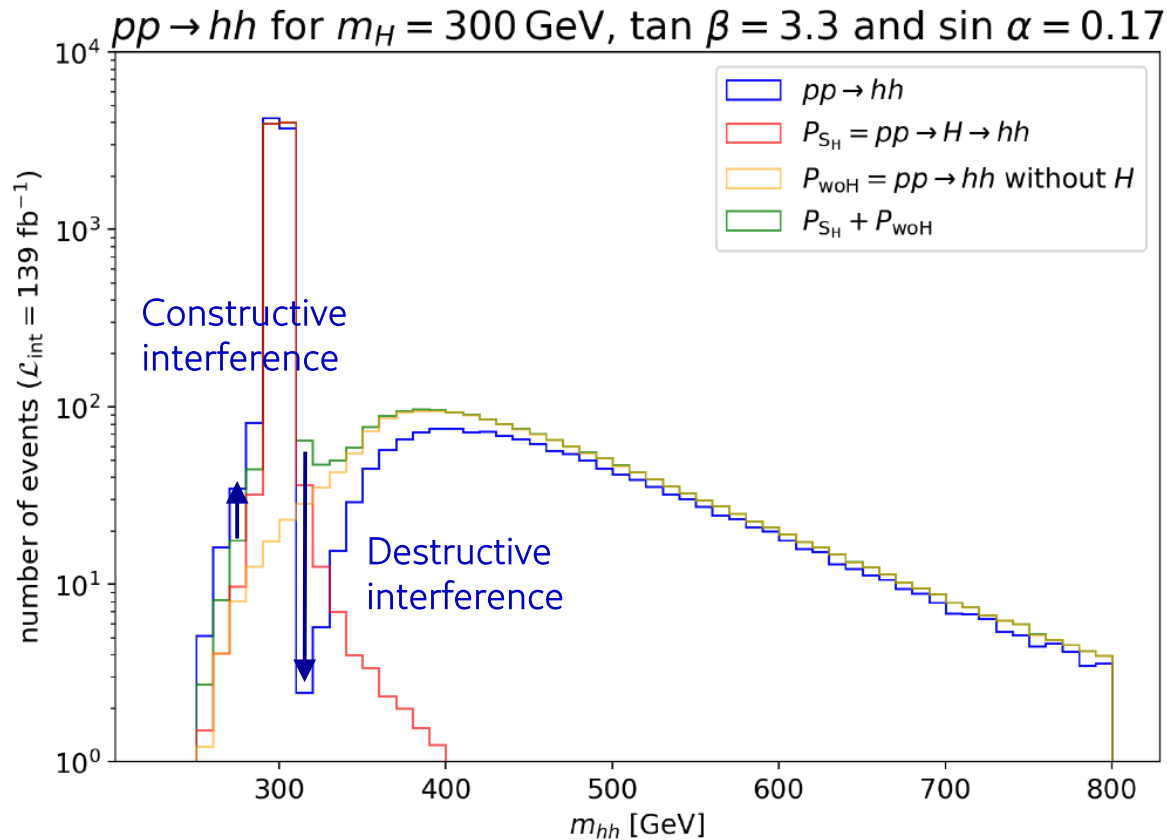
- Differential distributions: interference has significant impact on m_{hh} and p_T^h

Impact of interference on m_{hh}



} Example parameter point 1

Impact of interference on m_{hh}

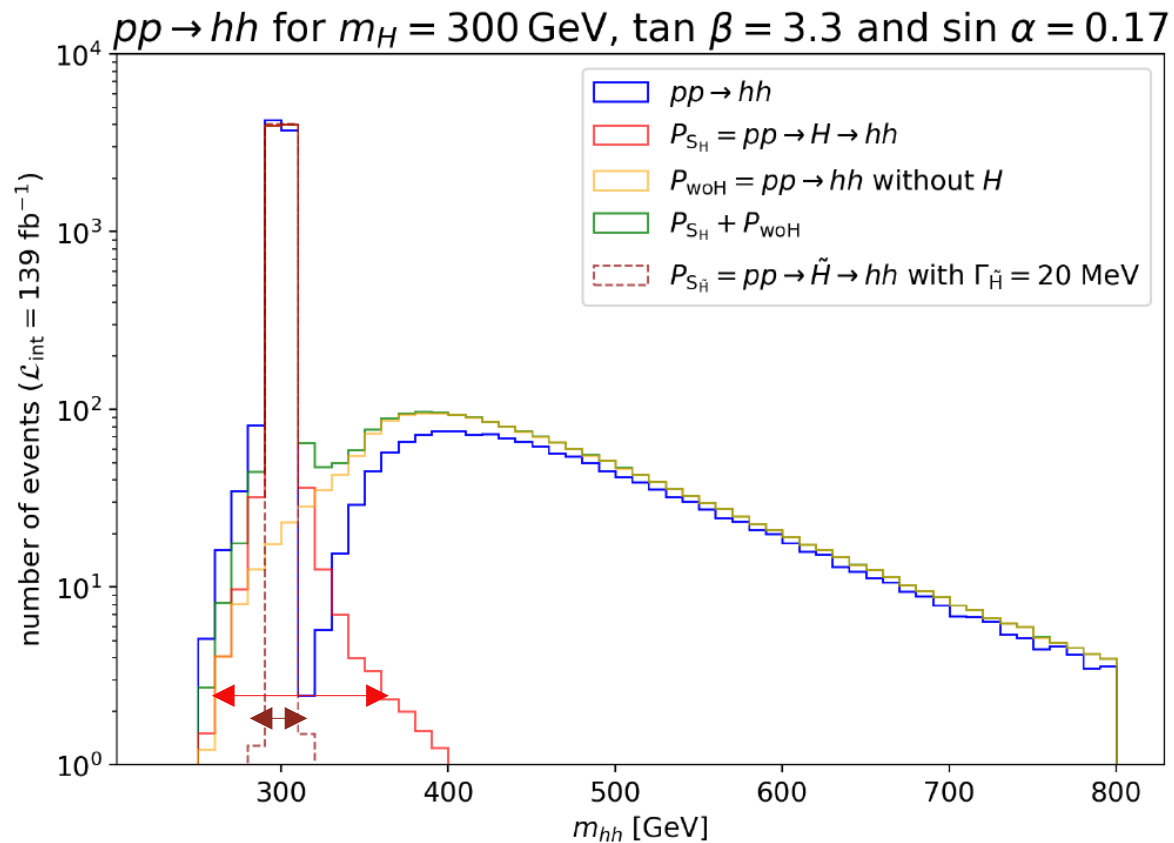


} Example parameter point 1

Well-known **peak-dip-structure** around peak at $m_{hh} \sim m_H$:

- $m_{hh} < \text{peak}$: positive interference
- $m_{hh} > \text{peak}$: negative interference

Impact of the width on m_{hh}



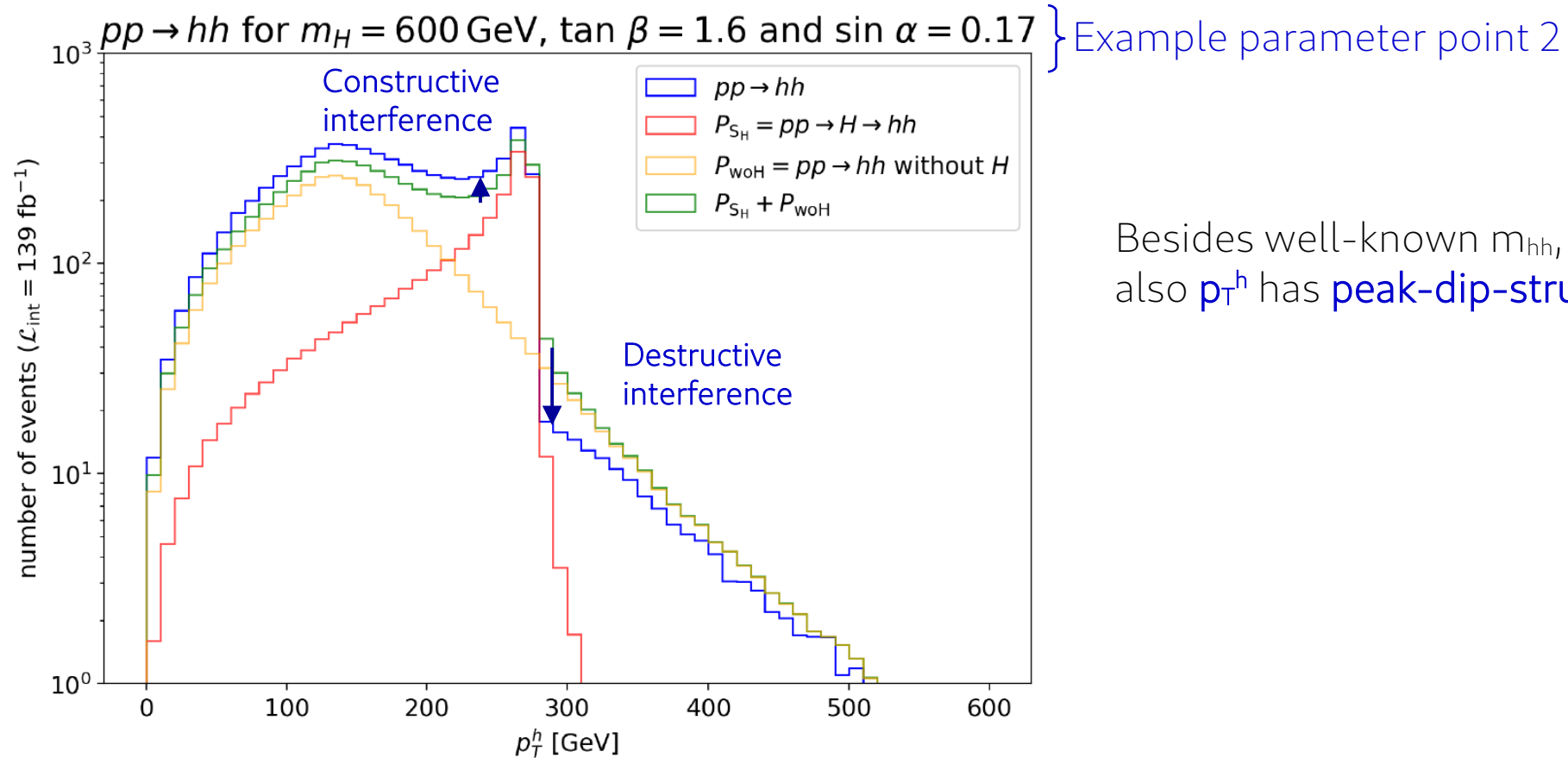
} Example parameter point 1

Plugging in a hypothetical small width by hand

- Mismatch of total cross-section
- Mismatch of distribution
- Underestimate of interference

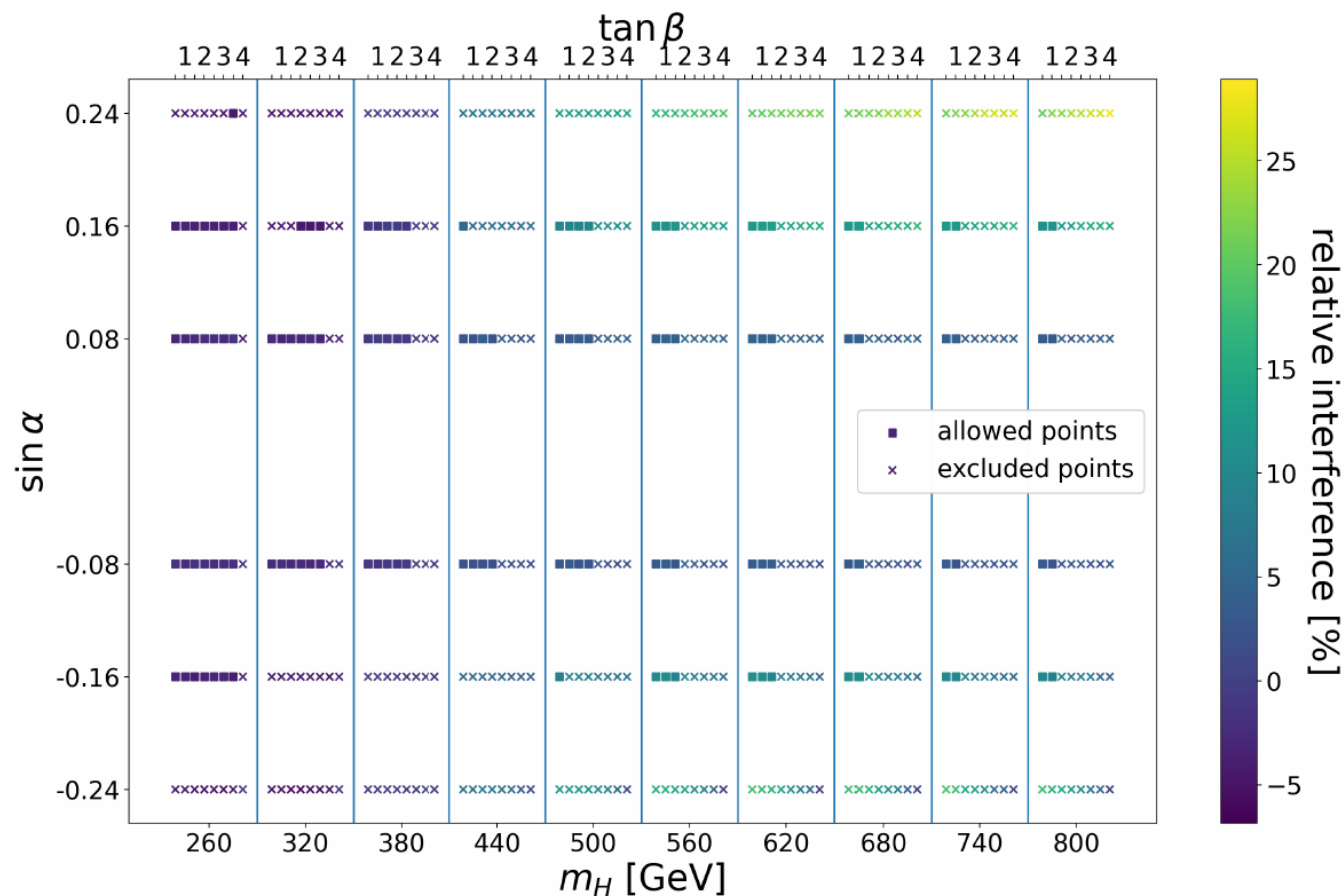
Important to use width predicted by model at specific parameter point

Impact of interference on p_T^h



Besides well-known m_{hh} ,
also p_T^h has **peak-dip-structure**.

Relevance of interference term



How generic is a large interference in hh production in the SM+S?

Relative interference

$\sigma_{\text{int}}/\sigma_{\text{total}}$

up to 13% among allowed points in the scan.



Motivates systematic inclusion of interference.

Need accurate and fast simulation



Motivation: Extended Higgs sector generically allow for resonant di-Higgs production

Challenge: Simulating events including interference for many parameter points in many models is numerically expensive.

Goal: Simulate components of resonant and non-resonant contributions and their interference terms to hh production only once and adapt to different models/ parameters.

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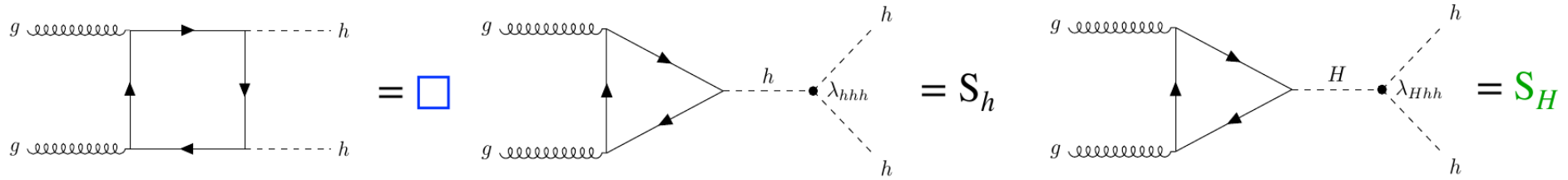
Goal: Simulate components of resonant and non-resonant contributions and their interference terms to hh production only once and adapt to different models/ parameters.

New tool: HHReweighter decomposes the LO hh matrix element into the different contributions and scales them by applicable model parameters.
NNLO K-factors used for high accuracy.

<https://gitlab.com/danielwinterbottom/HHReweighter> [D. Winterbottom]

$$\rightarrow \text{weight} \quad w = \frac{|\mathcal{M}_{\text{target}}|^2}{|\mathcal{M}_{\text{ref}}|^2}$$

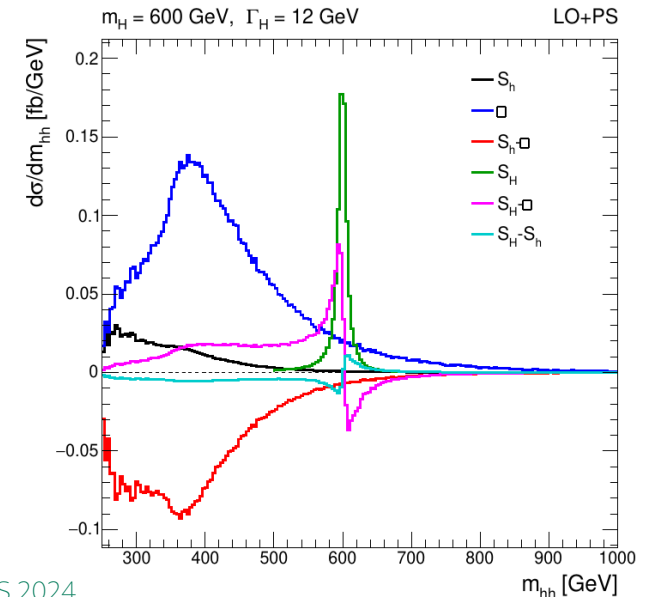
Decomposition of matrix element



$$|\mathcal{M}_{\text{total}}|^2 = \underbrace{\mathcal{M}_{\square}^2 \cdot (\kappa_q^h)^4 + \mathcal{M}_{S_h}^2 \cdot (\kappa_q^h)^2 \kappa_{\lambda_{hhh}}^2}_{\text{SM events}} + \mathcal{M}_{S_H}^2(m_H, \Gamma_H) \cdot (\kappa_q^H)^2 \kappa_{\lambda_{Hhh}}^2$$

$$\begin{aligned} &+ \widetilde{\mathcal{M}}_{S_h-\square}^2 \cdot (\kappa_q^h)^3 \kappa_{\lambda_{hhh}} \\ &+ \widetilde{\mathcal{M}}_{S_H-\square}^2(m_H, \Gamma_H) \cdot (\kappa_q^h)^2 \kappa_q^H \kappa_{\lambda_{Hhh}} \\ &+ \widetilde{\mathcal{M}}_{S_H-S_h}^2(m_H, \Gamma_H) \cdot \kappa_q^h \kappa_q^H \kappa_{\lambda_{hhh}} \kappa_{\lambda_{Hhh}}, \end{aligned}$$

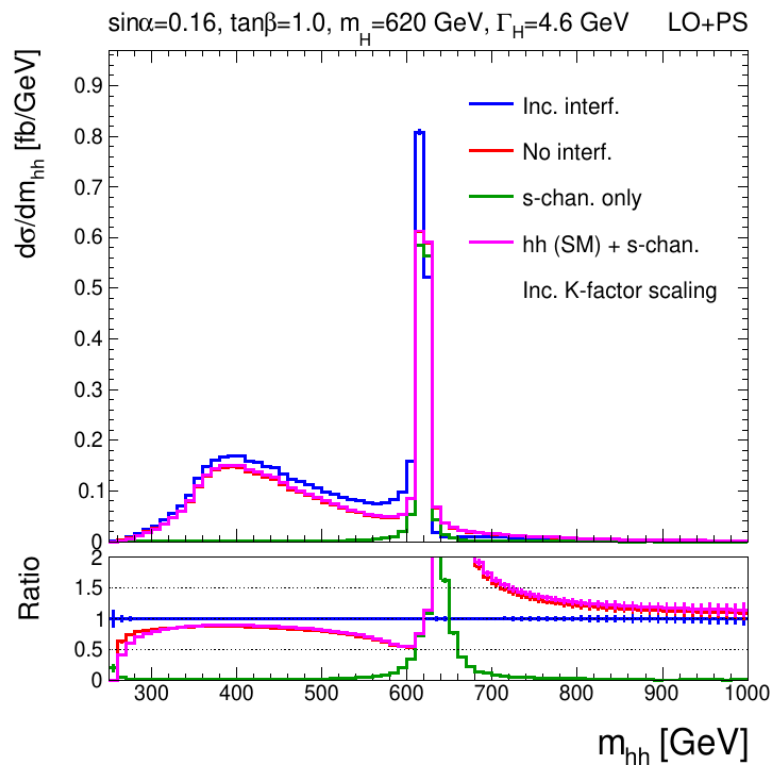
Interference terms!



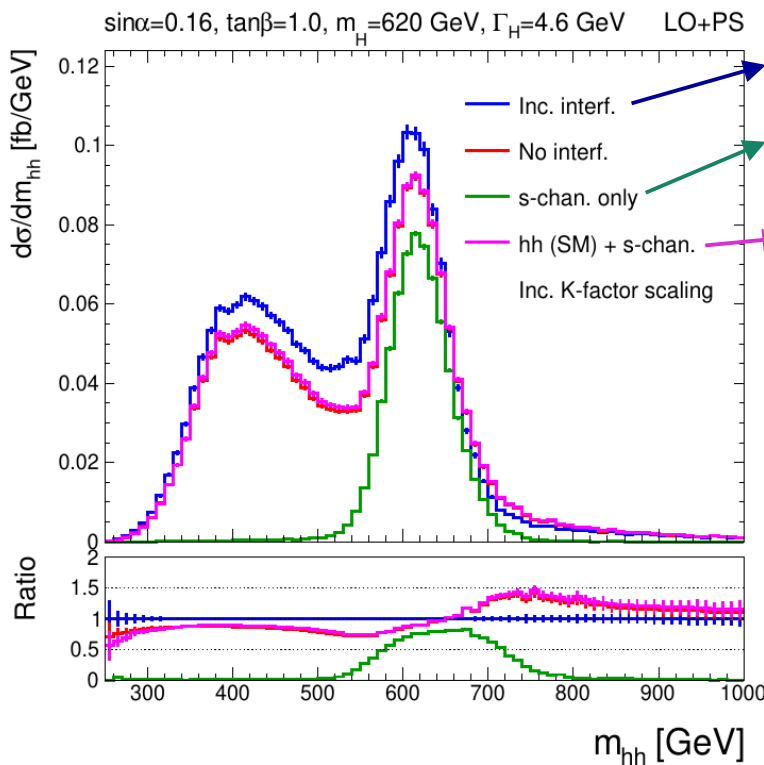
See talk by D. Winterbottom, HIGGS 2024

Interference at detector level

Developed 9 characteristic benchmarks, here **BM1: maximal relative interference**



No smearing



Smearing as for $H \rightarrow hh \rightarrow 4b$

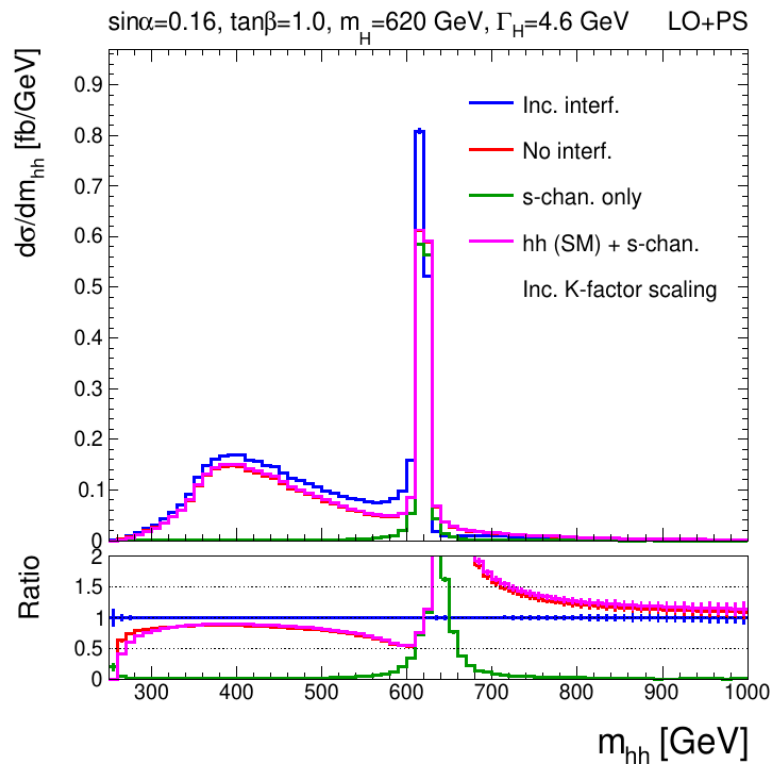
Full result with interference $|h+H+\square|^2$

Resonant only $|H|^2$
(most analyses so far)

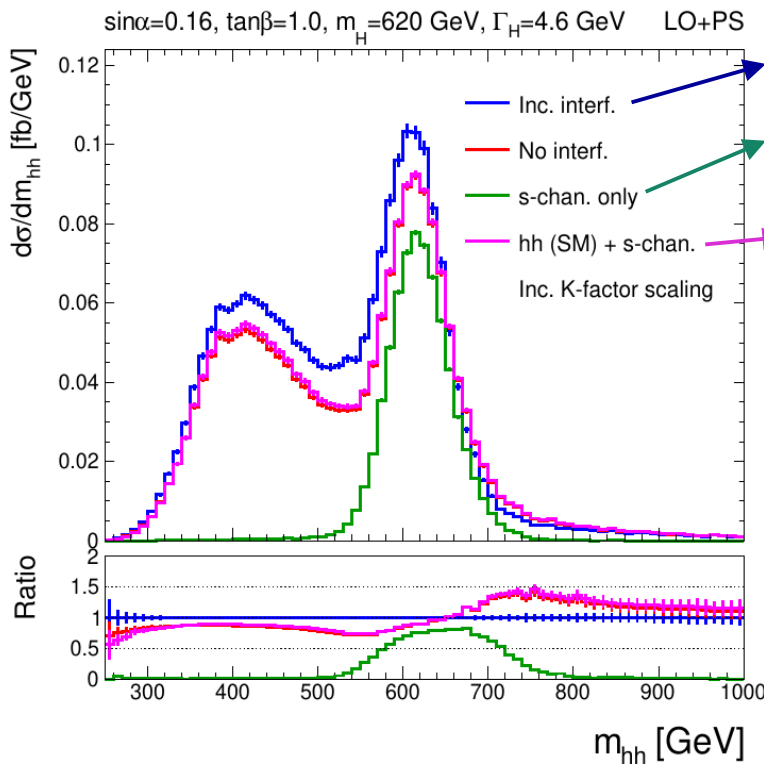
Incoherent sum
 $|H|^2 + |h+\square|^2$
BSM SM
(some analyses so far)

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Incoherent sum
 $|H|^2 + |h+\square|^2$
 BSM SM
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after smearing:

- interference persists
- double peak
- $|H|^2$ only under-estimates events close to peak by 35%

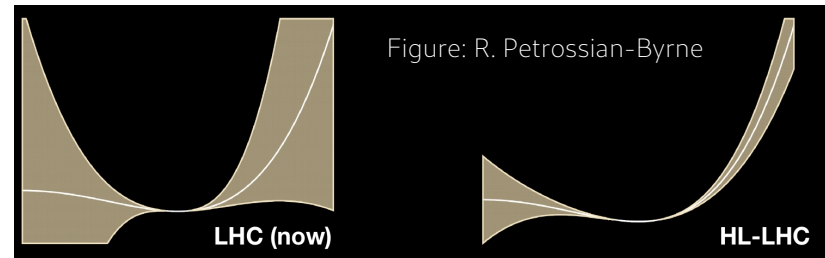
Further benchmarks

Benchmark	$\sin \alpha$	$\tan \beta$	m_H [GeV]	Γ_H [GeV]	$\kappa_{\lambda_{hhh}}$	σ [fb]	σ_{SH} [fb]	Accessible in Run-3	Feature
BM1	0.16	1.0	620	4.6	0.96	50.5	13.5	✓	Max $(\Delta\sigma)_{\text{rel}}$
BM2	0.16	0.5	440	1.5	0.96	91.6	56.4	✓	Max $(\Delta\sigma)_{\text{rel}}^{\sum}$
BM3	0.16	0.5	380	0.8	0.96	119.8	90.1	✓	Max $(\Delta\sigma)_{\text{rel}}^{\sum}$ with $(\Delta\sigma)_{\text{rel}} < 1\%$
BM4	-0.16	0.5	560	3.0	0.96	51.4	15.5	✓	Max non-res. within $m_H \pm 10\%$
BM5	0.08	0.5	500	0.6	0.99	40.6	8.1		Max non-res. within $m_H \pm 10\%$
BM6	0.16	1.0	680	6.1	0.96	44.8	8.4	✓	Max m_H
BM7	0.15	1.1	870	9.5	0.96	36.8	2.3		Max m_H
BM8	0.24	3.5	260	0.6	0.87	374.2	357.3	✓	Max $ \kappa_{\lambda_{hhh}} - 1 $
BM9	0.16	1.0	800	9.8	0.96	38.9	3.6		Max $\frac{\Gamma_H}{m_H}$

Conclusions

1. Finite-width and interference effects are relevant and need to be taken into account also in hh.
2. The SM+S features relevant interference between resonant & non-resonant di-Higgs production.
3. Beyond m_{hh} , among the investigated distributions, p_T^h is most sensitive to interference.
4. We provide bounds on SM+S and 9 characteristic benchmarks.
 - Here: BM1 with maximal interference (<13%).
 - See other benchmarks for effects of the total width, self-coupling modification, and cancellation of interference before/ after peak.
5. We introduce a new public tool HHReweighter to reweigh matrix elements for a fast & accurate inclusion of interference effects incl. K-factors in various models.

Future experimental precision of hh requires precise and accurate theory predictions!

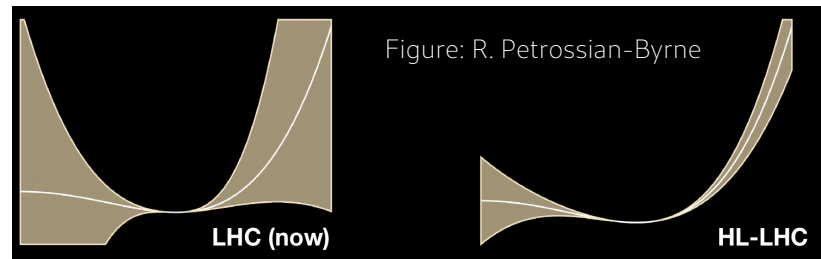


Conclusions

Thank you!

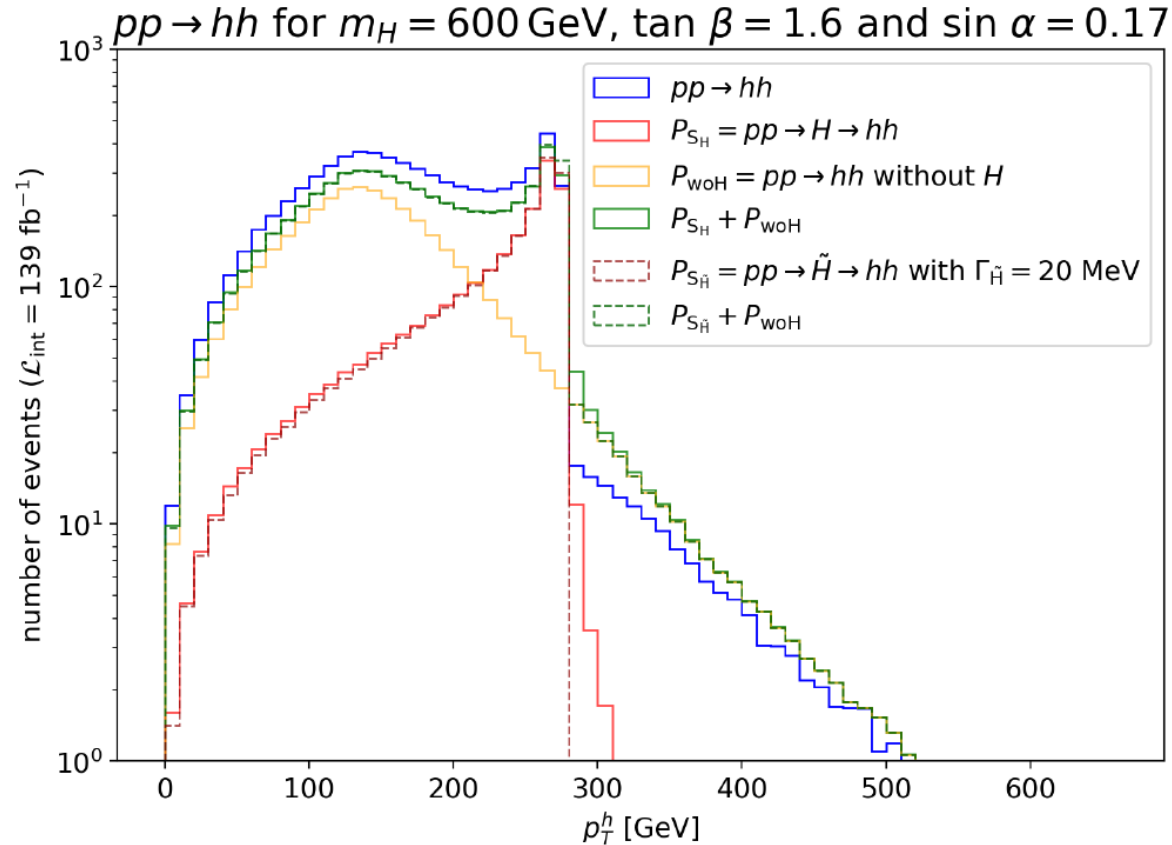
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BACKUP

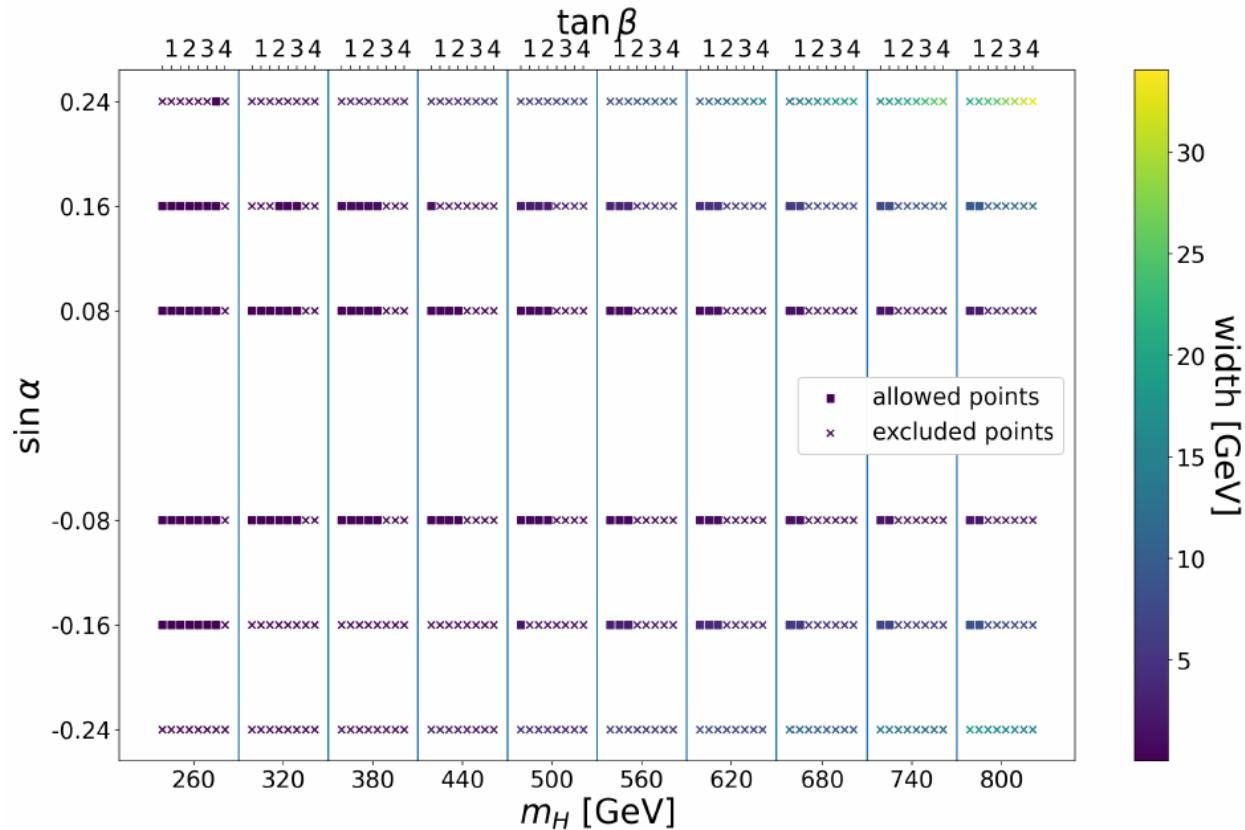
Impact of total width on p_T^h



Small hypothetical width

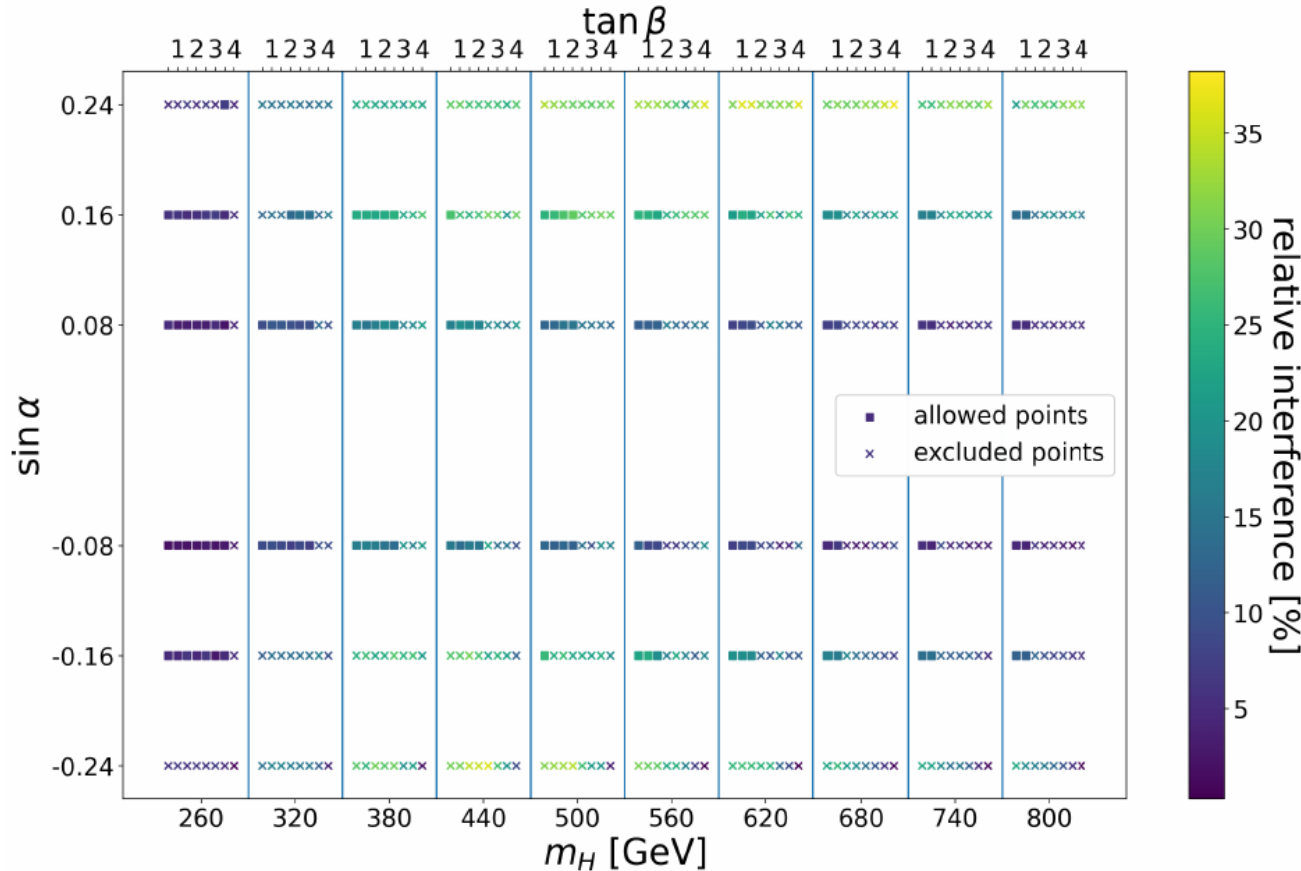
- Underestimates #events after the peak
- Underestimates interference

Total width Γ_H



Within allowed points of
the scan:
 $\Gamma_H/m_H < 0.012$

Relative interference before/after peak

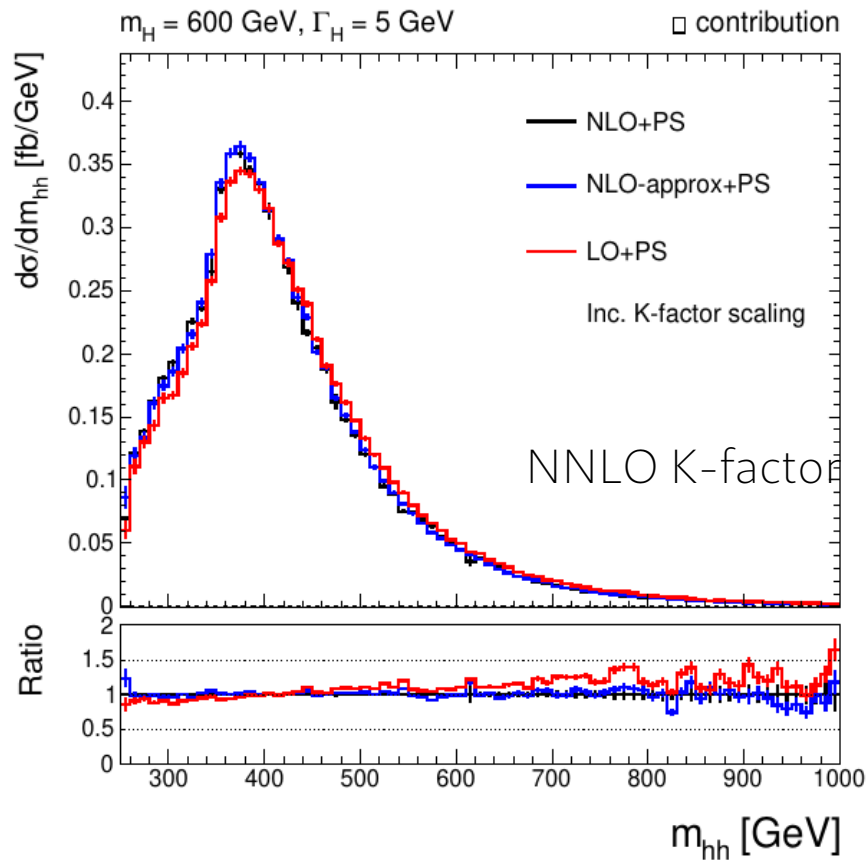
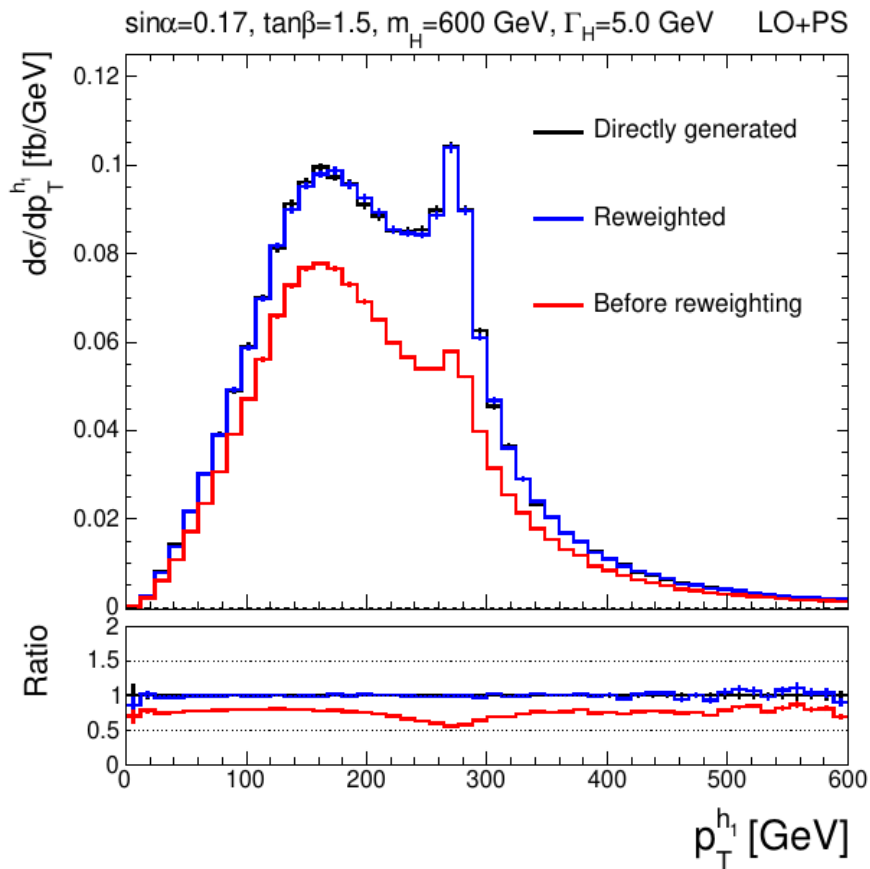


(f) The relative interference sum

$$(\Delta\sigma)_{\text{rel}}^{\Sigma} = |(\Delta\sigma)_{\text{rel}}^{<}| + |(\Delta\sigma)_{\text{rel}}^{>}|.$$

Larger effect on distribution
 than on total cross section.

Validation of HHReweighter



SM+S model predictions

$$\Gamma_H = \sin^2 \alpha \Gamma_{\text{SM}}(m_H) + \frac{\lambda_{Hhh}^2 \sqrt{1 - 4m_h^2/m_H^2}}{8\pi m_H}$$

$$\kappa_q^{\prime\prime} = \cos \alpha,$$

$$\kappa_q^H = \sin \alpha,$$

$$\lambda_{\text{SM}} = \frac{m_{125}^2}{2v}$$

$$\lambda_{hhh} = \lambda_{\text{SM}} (\cos^3 \alpha - \tan \beta \sin^3 \alpha),$$

$$\lambda_{Hhh} = \lambda_{\text{SM}} \frac{2m_h^2 + m_H^2}{m_h^2} \frac{\sin(2\alpha)}{2} (\cos \alpha + \tan \beta \sin \alpha)$$