

Scalar leptoquarks for $R_D^{(*)}$

(and for $B \rightarrow K\nu\nu$)

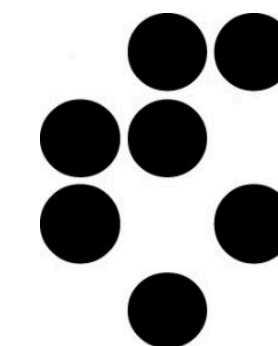
EPS-HEP 2025



UNIVERZA
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Fakulteta za matematiko
in fiziko



Jožef Stefan Institute
Ljubljana, Slovenia

(based on 2404.16772 and 2410.23257 with D. Bečirević, S. Fajfer and N. Košnik)

Lovre Pavičić 9.7.2025

Motivation

$$R_{D^{(*)}} = \frac{\Gamma(B \rightarrow D^{(*)} \tau \nu)}{\Gamma(B \rightarrow D^{(*)} \ell \nu)}, \quad \ell = e, \mu$$

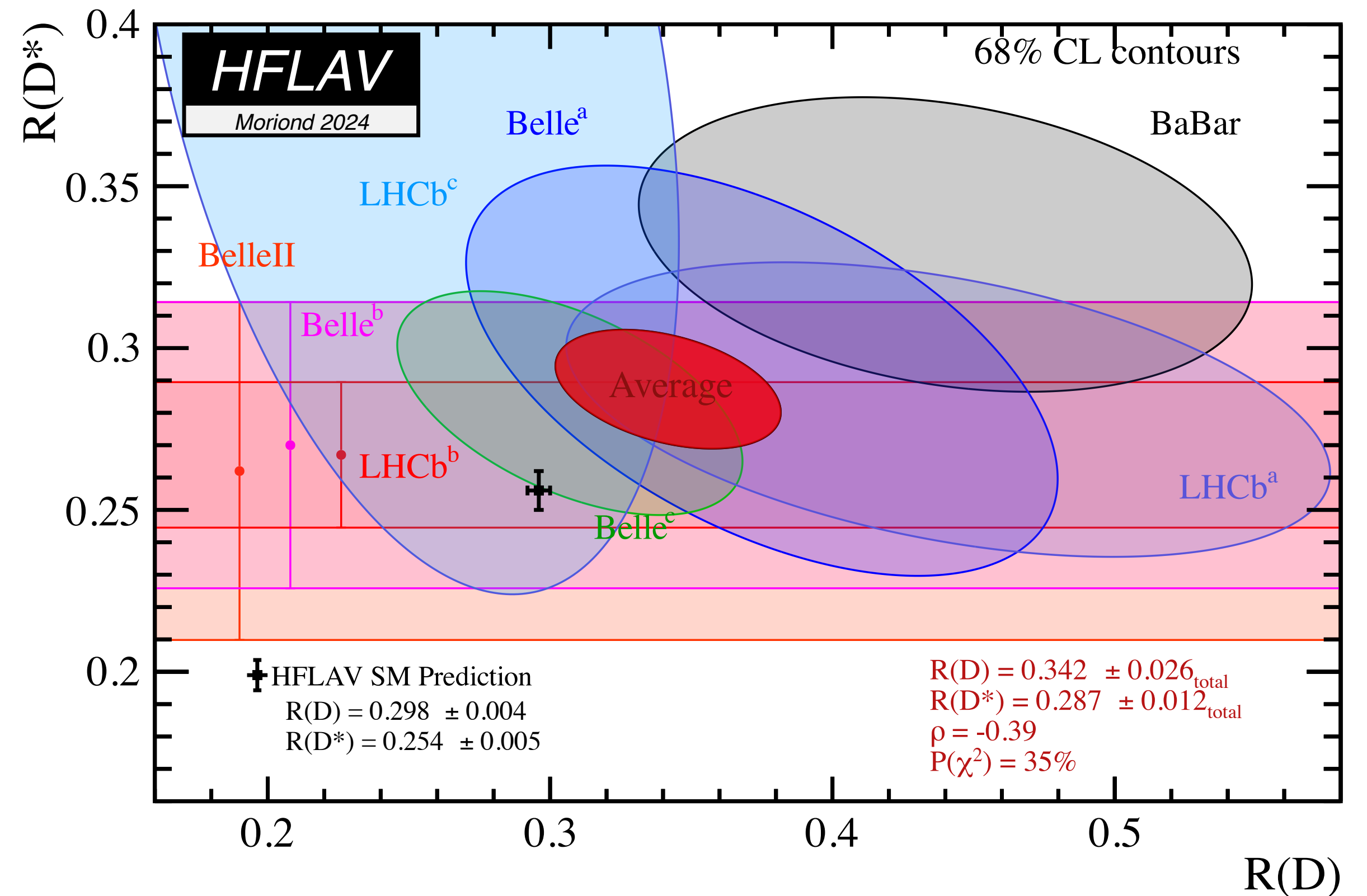
► Lepton flavour universality

⇒ Strong test of the Standard Model

► Theoretically clean; **hadronic uncertainties cancel** in the ratio

► SM predictions significantly smaller than experiment, **combined deviation: $\sim 3.2 \sigma$**

⇒ Violation of LFU? **New Physics** coupled to b and τ ?

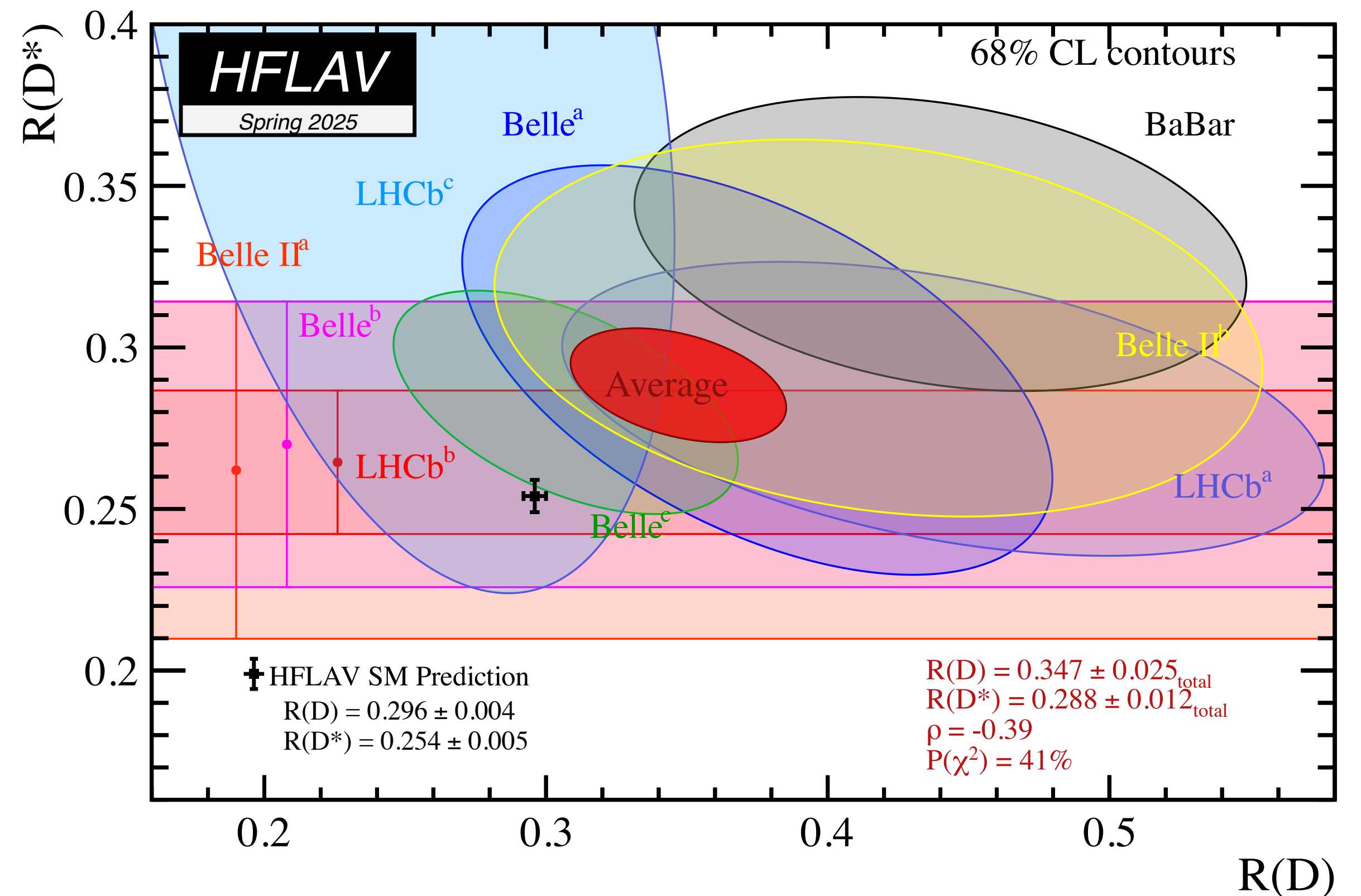


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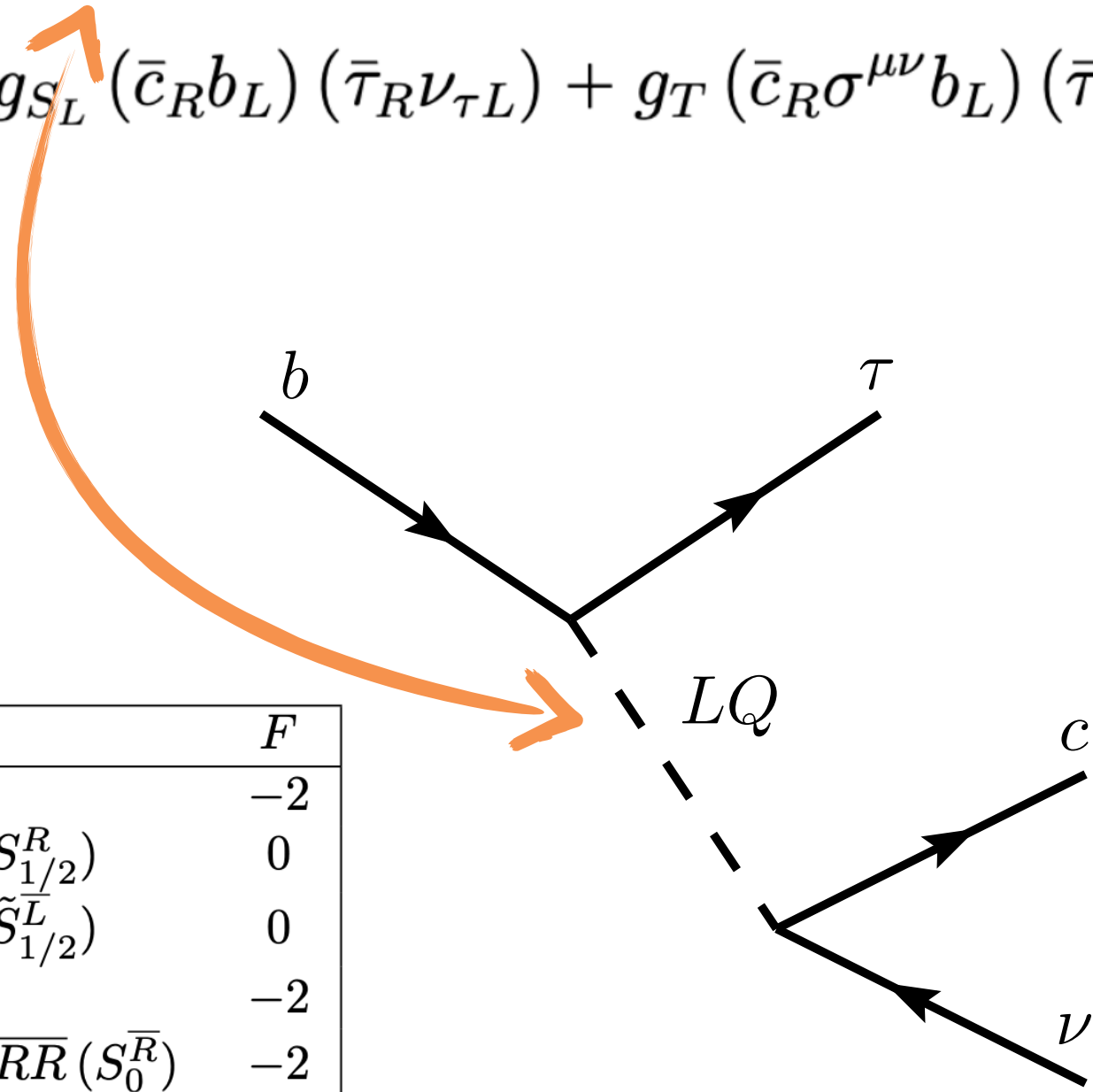
Possible explanations

$$\mathcal{L}_{b \rightarrow c \tau \nu} = -2\sqrt{2}G_F V_{cb} \left[(1 + g_{V_L}) (\bar{c}_L \gamma^\mu b_L) (\bar{\tau}_L \gamma_\mu \nu_{\tau L}) + g_{V_R} (\bar{c}_R \gamma^\mu b_R) (\bar{\tau}_L \gamma_\mu \nu_{\tau L}) + g_{S_L} (\bar{c}_R b_L) (\bar{\tau}_R \nu_{\tau L}) + g_T (\bar{c}_R \sigma^{\mu\nu} b_L) (\bar{\tau}_R \sigma_{\mu\nu} \nu_{\tau L}) \right]$$

- EFT study - $\Lambda_{NP} \simeq m_{NP}/C_{NP} \sim \mathcal{O}(1 - 3)\text{TeV}$
- Possible NP solutions: W' , Charged Higgses, Exotic neutrino interactions...

► Or Leptoquarks!

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(1603.04993)

Possible explanations

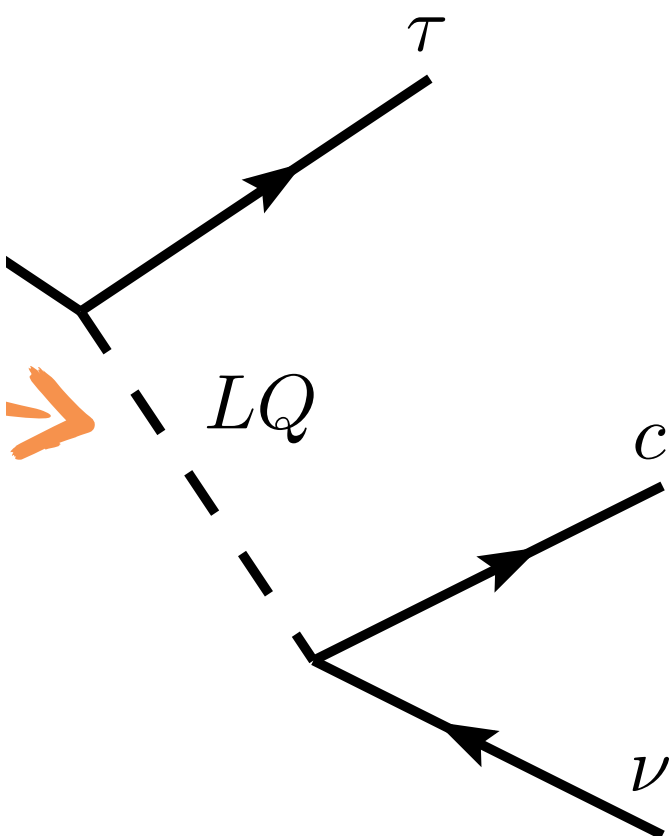
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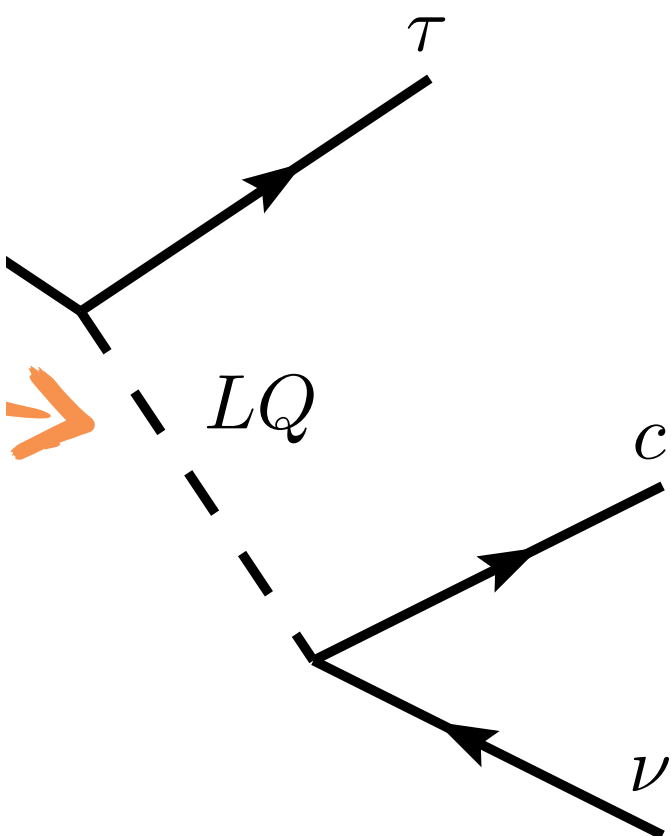
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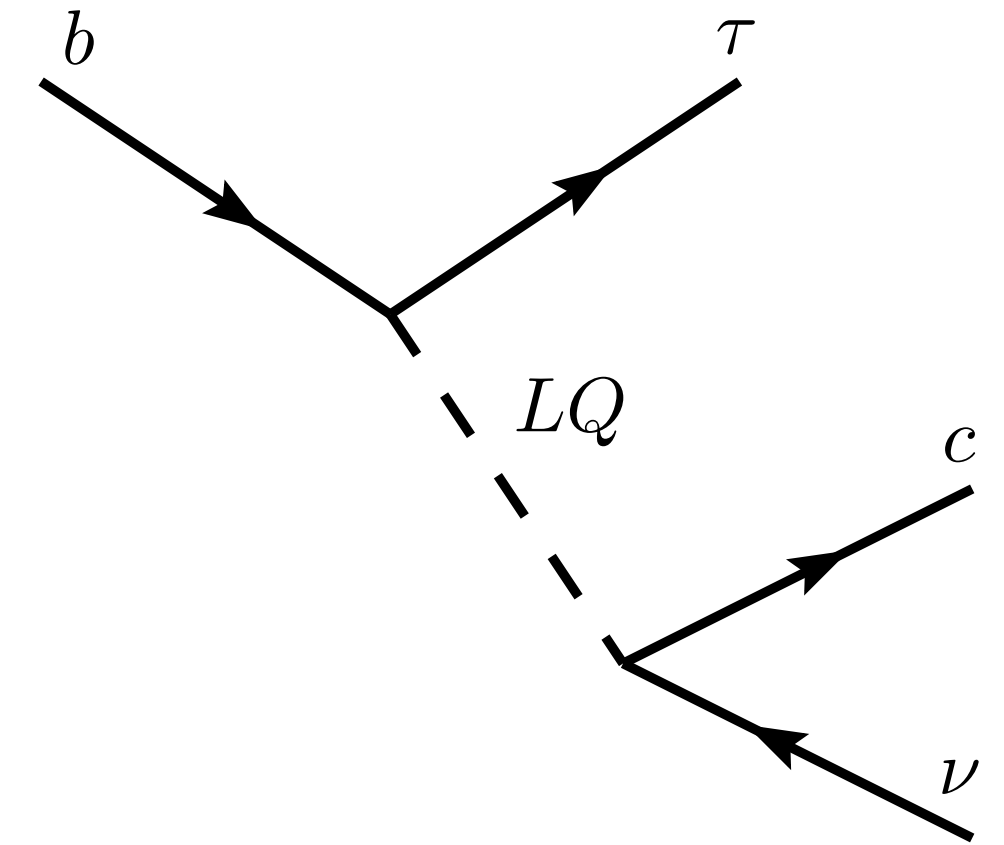
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Possible explanations

► Consider minimal coupling texture

⇒ All three leptoquarks can provide desired effect in $R_{D^{(*)}}$ with only **two non-zero couplings**

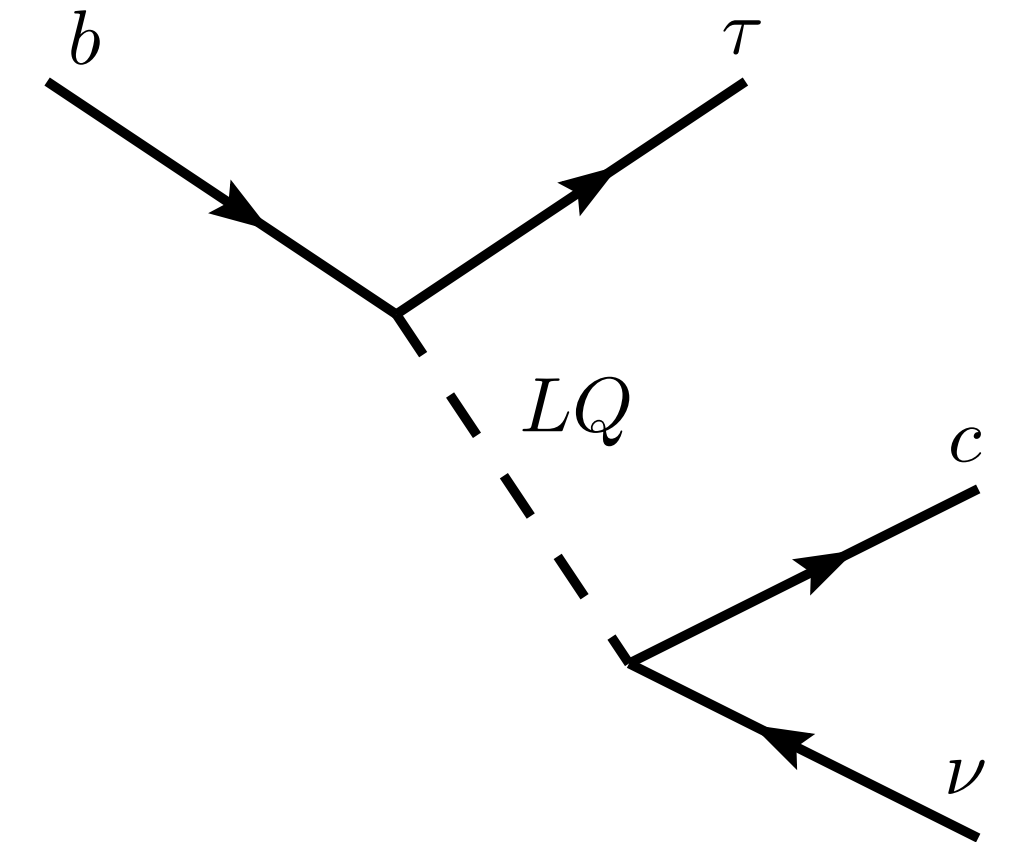


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Possible explanations

► Consider minimal coupling texture

⇒ All three leptoquarks can provide desired effect in $R_{D^{(*)}}$ with only two non-zero couplings, **but...**



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Effect in high- p_T tails too large

A RHN has to be added, too severely affecting $B \rightarrow K\nu\nu$

If only left-handed interactions are considered, $B_s - \bar{B}_s$ is too large

Left- and right-handed $S_1 = (\bar{\mathbf{3}}, \mathbf{1}, 1/3)$

$$\mathcal{L}_{S_1} = y_L^{ij} \overline{Q_i^{C,a}} \epsilon^{ab} L_j^b S_1 + y_R^{ij} \overline{u_i^C} e_j S_1 + \text{h.c.}$$

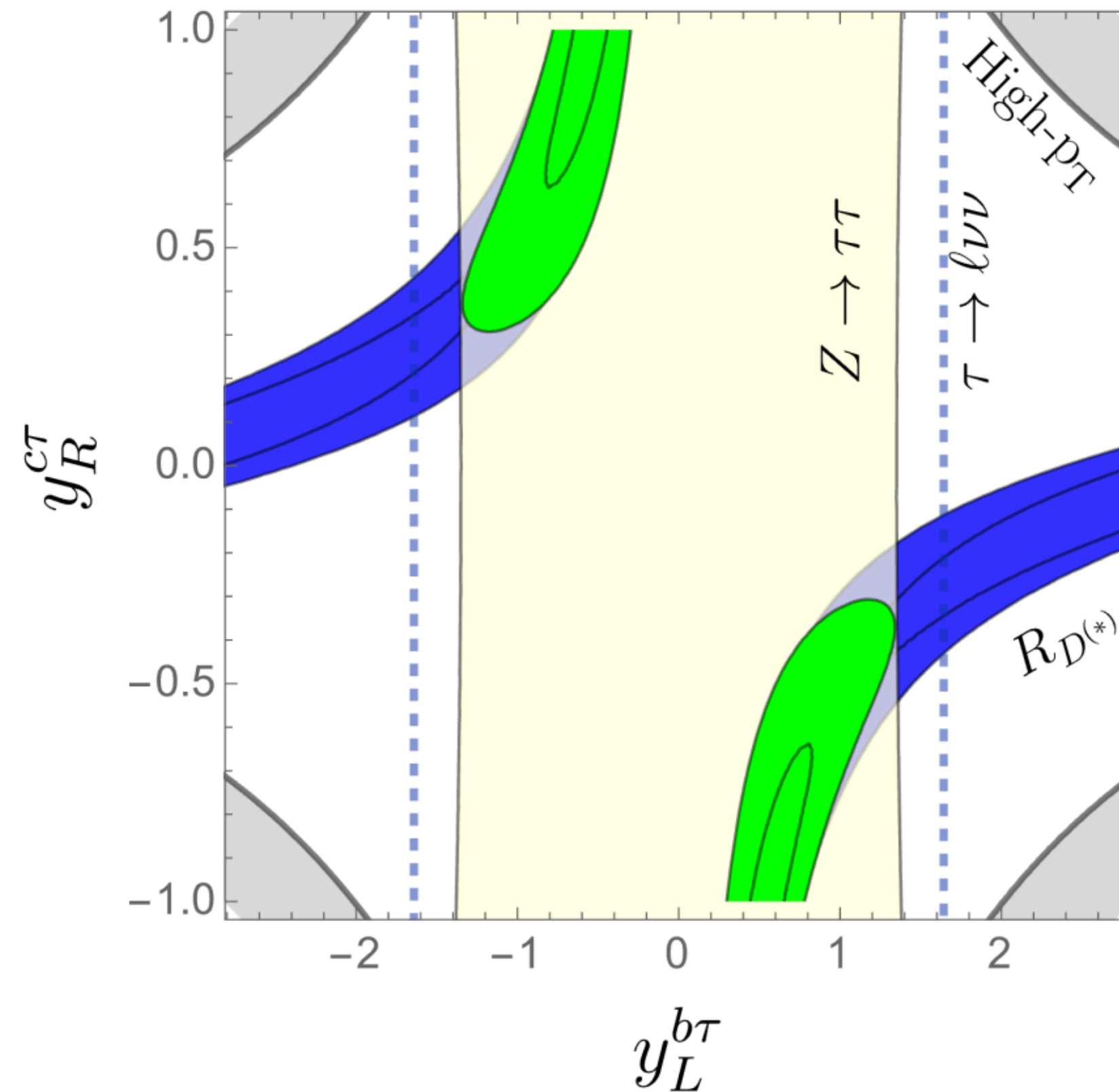
$$m_{S_1} = 1.5 \text{ TeV}$$

$$y_L = \begin{pmatrix} 0 & 0 & 0 \\ 0 & 0 & 0 \\ 0 & 0 & y_L^{b\tau} \end{pmatrix}, \quad y_R = \begin{pmatrix} 0 & 0 & 0 \\ 0 & 0 & y_R^{c\tau} \\ 0 & 0 & 0 \end{pmatrix}$$

► Need right-handed interactions

⇒ evade $B_s - \bar{B}_s$ mixing constraint

► Successfully accommodate $R_{D^{(*)}}$ and consistent with other observables



*2 σ allowed regions

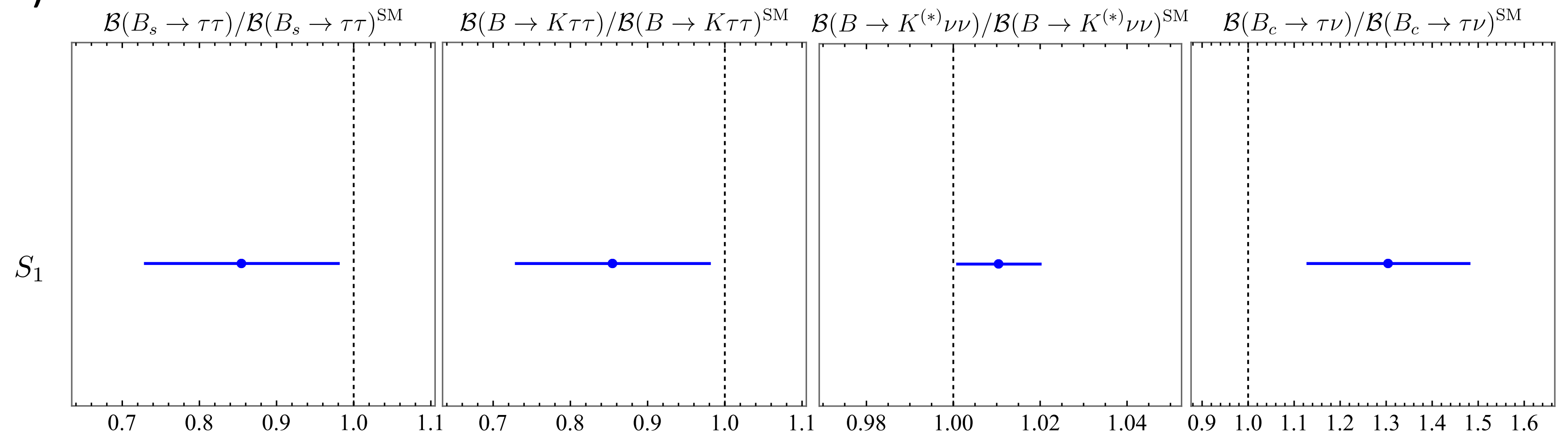
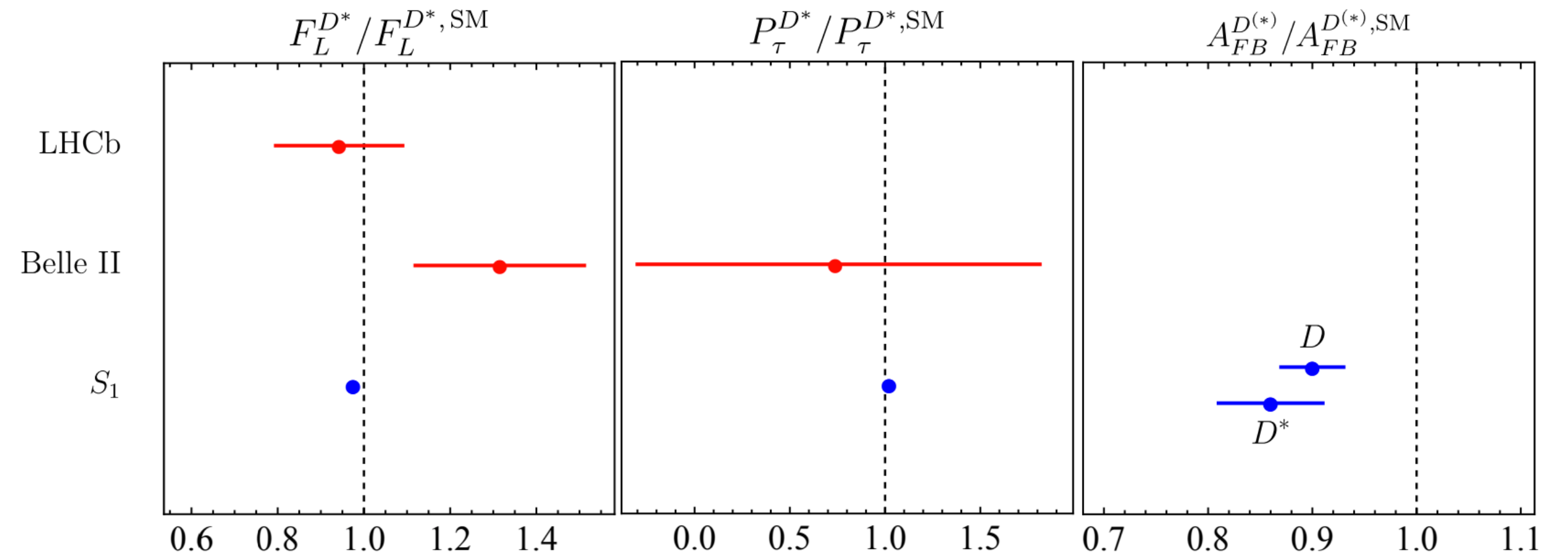
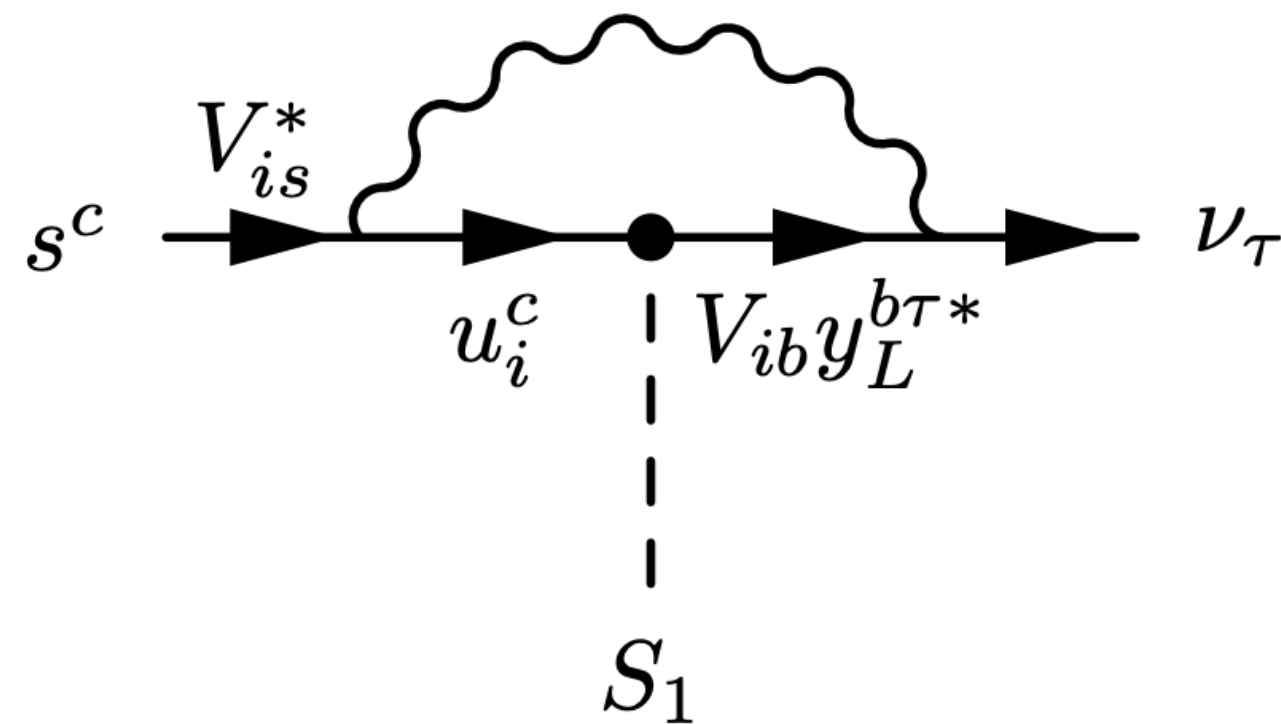
Predictions with S_1

► Can be tested in

$\Rightarrow B \rightarrow D^{(*)} \tau \nu$ angular observables

$\Rightarrow B_c \rightarrow \tau \nu$ (tree level effect)

$\Rightarrow B_s \rightarrow \tau \tau, B \rightarrow K \tau \tau, B \rightarrow K^{(*)} \nu \nu$
(loop level effect)



Inert S_1 (right-handed)

► Right-handed interactions

⇒ no **CKM mixing**

⇒ evading a lot of constraints from flavour observables

► Model with **only right-handed interactions?**


$$\mathcal{L}_{S_1} = y_{ij}^R \overline{u_i^C} e_j S_1 + \tilde{y}_{iN}^R \overline{d_i^C} N_R S_1$$

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► Right-handed interactions

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► Model with **only right-handed interactions?**

$$\mathcal{L}_{S_1} = \underbrace{y_{c\tau}^R \overline{c^C} \tau}_{\text{red}} S_1 + \underbrace{\tilde{y}_{bN}^R \overline{b^C} N_R}_{\text{blue}} S_1 + \tilde{y}_{sN}^R \overline{s^C} N_R S_1$$

Create desired effect in $R_{D^{(*)}}$

Also allows an enhancing effect in $B \rightarrow K' \text{'inv'}$

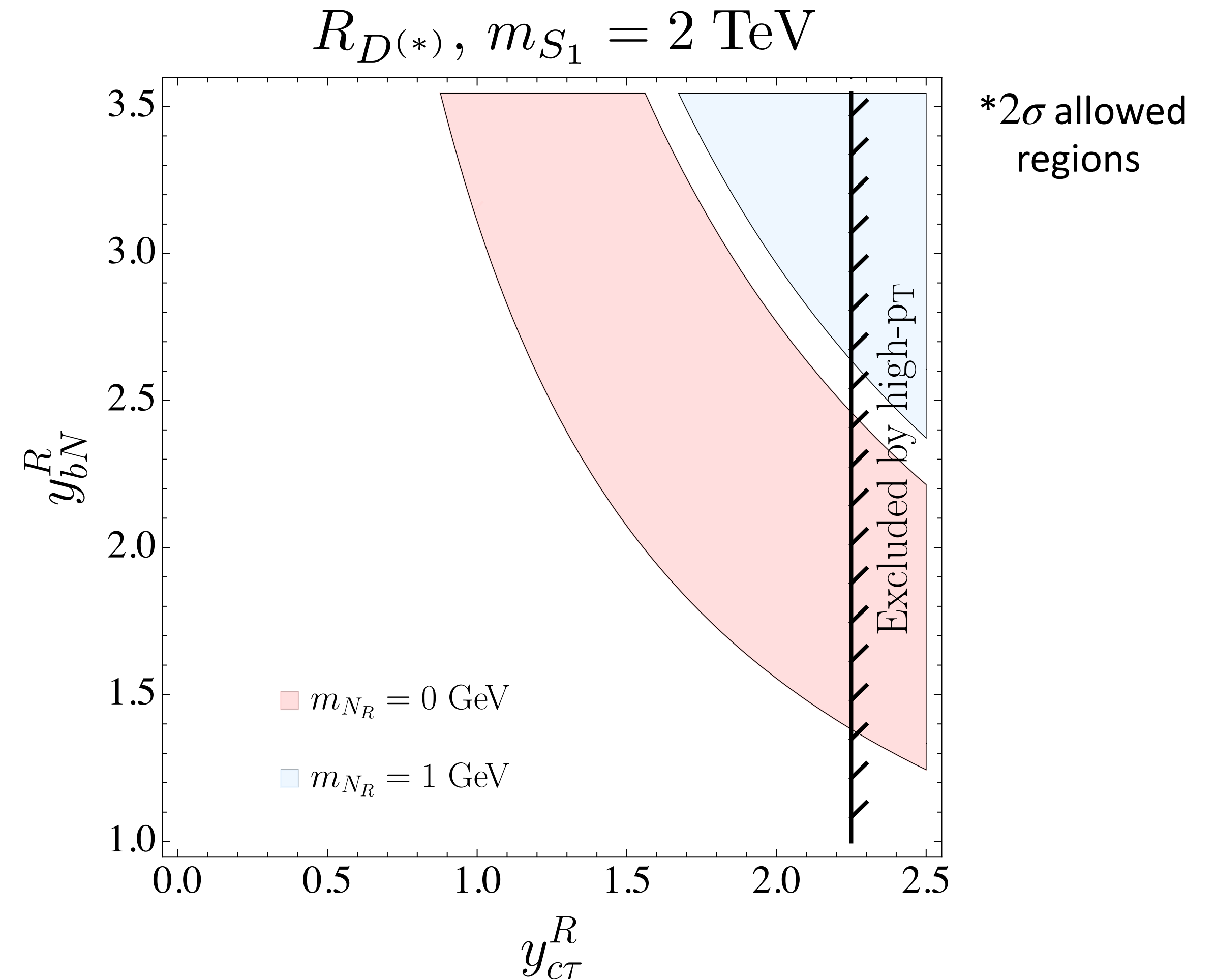
Inert S_1 (right-handed)

► $R_{D^{(*)}}$ can be accommodated

⇒ up to masses of RHN up to ~ 1 GeV

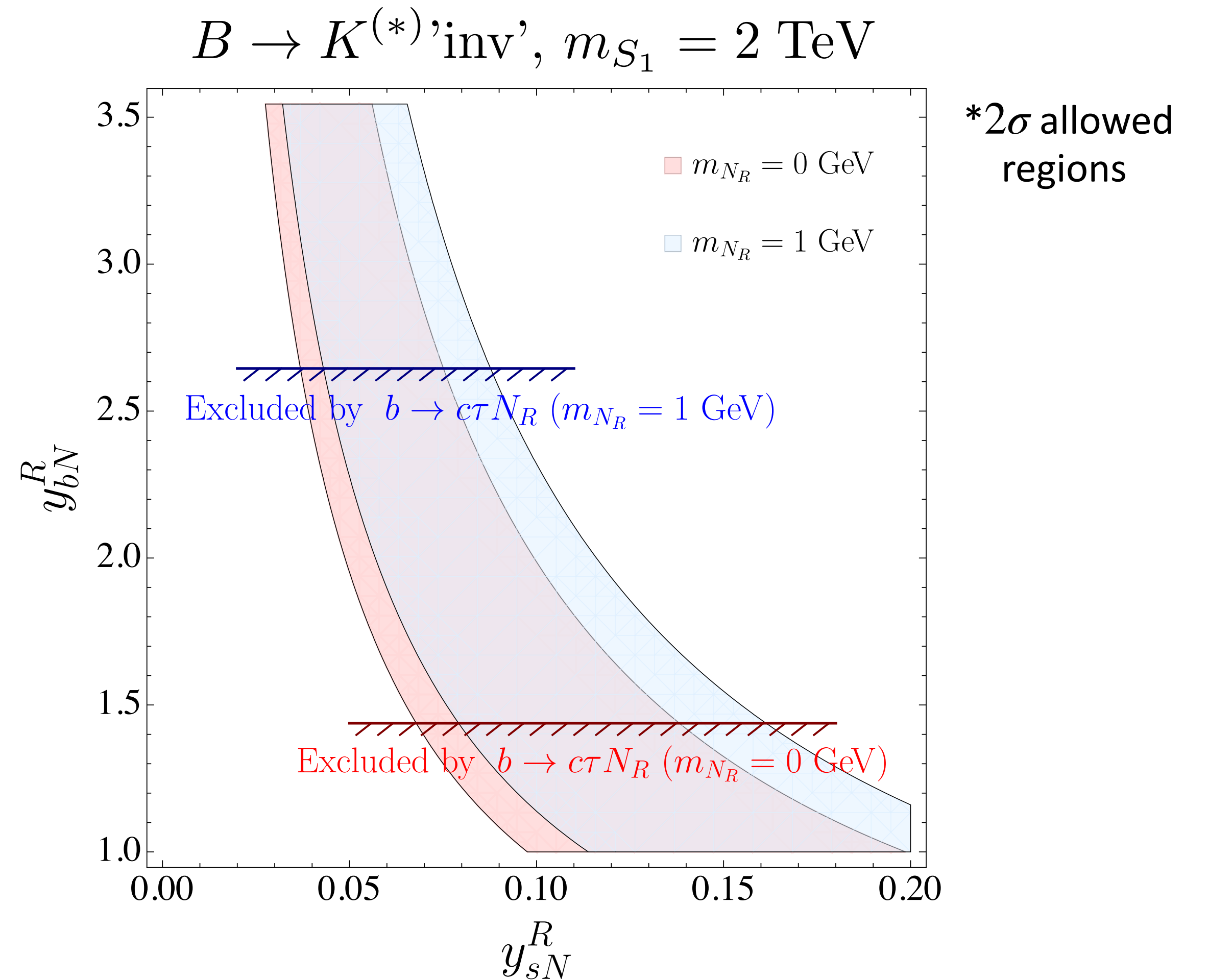
► Only RH interactions

⇒ Evaded $B_s - \bar{B}_s$ mixing, also
 $Z \rightarrow \tau\tau$ and $\tau \rightarrow \ell\nu\nu$



Inert S_1 (right-handed)

- Excess in $\mathcal{B}(B^+ \rightarrow K^+ \text{'inv'})$ can also be accomodated
- Besides $R_{D^{(*)}}$ and $B \rightarrow K^{(*)} \text{'inv'}$, practically no other constraining observable



Inert S_1 (right-handed) -predictions

► For example: $B_c \rightarrow \tau \text{'inv'}$, $B_c \rightarrow D_s \text{'inv'}$, $B_c \rightarrow J/\psi \tau \text{'inv'}$

► Particularly interesting:

$\Rightarrow$ Angular observables in $B \rightarrow D^{(*)} \tau \nu$ decays, example:

Quantity	SM	$m_{N_R} = 0 \text{ GeV}$	0.6 GeV	1 GeV
$P_\tau^{D^*}$	$-0.51(2)$	$-0.39(4)$	$-0.41(3)$	$-0.43(3)$
$F_L^{D^*}$	$0.46(1)$	$0.46(1)$	$0.46(1)$	$0.45(1)$

$\Rightarrow D^0 \rightarrow \text{'inv'}$ (branching fraction scales with the $m_{N_R}^2$)

Summary and conclusions

► Hint for the New Physics in $b \rightarrow c\ell\nu$ transitions

► Explored different minimal TeV-scale LQ models

⇒ Only two are viable:

* S_1 with left and right-handed interactions

⇒ Plenty of observables affected; $R_{D^{(*)}}$, $Z \rightarrow \tau\tau, \nu\nu$, $\tau \rightarrow \ell\nu\nu$, High- p_T ,
FB asymmetry...

* S_1 with only right-handed interactions, with the introduction of
right-handed neutrino(s)

⇒ Few observables affected, **but has a specific signature in
angular observables in $B \rightarrow D^{(*)}\tau\nu$**

⇒ More specifically, the presence of **RHN can be inferred from P_τ**

Thank you for your attention!