

# Galactic dynamics: news, challenges, impact of Gaia

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Monari et al. (2018) :  $3x10^3$  counter-rotating stars from Gaia DR2, fit tail of velocity distribution with a power-law => escape speed curve =>  $M_{200} = 1.28 \times 10^{12} M_{sun}$  (7.8 x10<sup>11</sup> at 1 sigma)

Roche et al. (2024) :  $1.2x10^4$  stars with speed > 300 km/s from Gaia DR3, with "stretched exponential power law", lower escape speed =>  $M_{200} = 7 \times 10^{11} M_{sun}$  (4.5 x 10<sup>11</sup> at 1 sigma)



Monari et al. (2018) : 3 x 10<sup>3</sup> counter-rotating stars from Gaia DR2, fit tail of velocity distribution with a power-law => escape speed curve =>  $M_{200} = 1.28 \times 10^{12} M_{sun}$  (7.8 x10<sup>11</sup> at 1 sigma)

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What about the MW rotation curve/circular velocity curve?

Within the plane :  $v_c^2 \simeq \langle v_{\phi}^2 \rangle + \langle v_R^2 \rangle (R - h_R) / h_R - R \partial \langle V_R^2 \rangle / \partial R$ 

Eilers et al. (2019) => M =  $7.25 \pm 0.26 \times 10^{11} M_{sun}$ 

**BUT** Jiao et al. (2023)  $\Rightarrow$  M = 2.06  $^{+0.24}_{-0.13}$  x 10<sup>11</sup> M<sub>sun</sub>



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- Note that tracers are taken up to 3 kpc heights

- Even correcting for tilt of the velocity ellipsoid as a function of z doesn't guarantee that one probes the actual circular velocity at z=0

- The disk is perturbed

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As an exercise (Monari et al. in prep.), let's take the  $(5x10^6 \text{ stars})$  Gaia RVS RGB sample (with Bailer-Jones distances) and check the influence of the height selection



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#### **Stellar streams**



87 thin streams in Gaia DR3 (Ibata et al. 2024)

#### **Stellar streams**



Conservative sample of 29 thin streams in Gaia DR3 for the fit of the orbit corrected from test-particle sim

 $=> M = 1.09 + 0.19 - 0.14 \times 10^{12} M_{sun}$ 

### **The Sagittarius stream**



(Vasiliev et al. 2021)

 $=> M = 9.0 \pm 1.3 \text{ x } 10^{11} \text{ M}_{\text{sun}}$ 

 $M_{LMC} = 1.3 \pm 0.3 \text{ x } 10^{11} \text{ M}_{sun}$ 

# **The Sagittarius stream**



The bifurcation, originally understood as precession of the stream with successive wraps, imposes a very nearly spherical potential which doesn't work under the current best-fit potential:

tracing back particles => faint branch = originally disky distribution at t = -3 Gyr (nearly perpendicular to both the MW disk and Sgr orbital plane) (Oria et al. 2022)

# **Core or cusp ?**

Constraints from inner rotation curve, z-structure of stellar disc, optical depths to microlensing of bulge stars + kinematics all point to a **core**, both in self-consistent axisymmetric (Cole & Binney 2017, Binney & Vasiliev 2023) and non-axisymmetric (Portail et al. 2017) models (combination of bar model and RC constraint between R=6 and R=8 kpc)



#### The bar and spiral arms



- The two most prominent non-axisymmetric features of the MW disk
- Play a leading role in terms of the secular evolution of the disk
- Structure and dynamics still poorly known/debated

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**Bar**: first hints from gas kinematics (de Vaucouleurs 1964; Peters 1975), confirmed in NIR observations (e.g., COBE; Binney et al. 1997)

Early estimates of the pattern speed as high as 60 km/s/kpc

Discovery of a possible long bar extending beyond 5 kpc using RCG star counts (Wegg et al. 2015) + simulations of bulge kinematics (BRAVA, ARGOS + VIRAC proper motions) => much lower pattern speed

Some recent estimates from APOGEE-Gaia (Horta et al. 2024) as low as 24 km/s/kpc...



Wegg C., Gerhard O., Portail M., 2015, MNRAS, 450, 4050

# VIRAC PMs

1.75 x 108 PMs at

- $-10^{\circ} < l < 10^{\circ}$
- $-10^{\circ} < b < 5^{\circ}$

in the VVV Infrared Astrometric Catalogue (VIRAC), calibrated on Gaia DR2 (Clarke et al. 2019)

See also Sanders et al. (2019) + e.g. Monari et al. (2019) + Binney (2020) for local kinematics

obs.  $\sigma_l \sigma_h$ 





50 km/s/kpc

# A decelerating bar?



Li et al. (2023) Gaia DR3 RVS Two-armed phase spiral!

<= decelerating bar toy-model (no Sgr)

Also claimed by Chiba & Schönrich (2021) but possible degeneracy with spiral arms to be explored



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**Spiral arms**: first hints from HII regions (Morgan et al. 1952), confirmed from multiple tracers since then (young stars, OB associations, GMCs, HI kinematics, but also with NIR to mid-IR tracers), pointing to **different structure, number of arms, amplitudes**, etc. depending on tracers



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**Pattern speed(s) even less clear** : Amaral & Lépine (1997) m=2 + m=4 with 20 km/s/kpc Siebert et al. (2012) m=2 spiral fit to RAVE data with pattern speed of 18.6 km/s/kpc Castro-Ginard et al. (2021) integrate backward OCs to their birthplace and find decreasing pattern speeds with radius from 50 km/s/kpc (Scutum) to 17 km/s/kpc (Perseus)

# **Non-axisymmetries with Gaia**





Widmark & Naik (2024) Jeans modelling detects Local arm with 20% overdensity



Vislosky et al. (2024) compare directly to a simulation

Eilers et al. (2020) <sup>*x*</sup> [kpc]</sub> model:10% overdensity for Local arm, fixing 12 km/s/kpc

# **Non-axisymmetries with Gaia**

Given the exquisite quality of Gaia data, can we fit it a bit more in detail?



StarHorse distances

**General idea**: start from an equilibrium  $f_0(\mathbf{J})$  (à-la-Binney & Vasiliev) model and perturb it

# **Backward integration**

The analytical treatment of multiple perturbers is limited to very small regions of phase space (maximally trapped orbits + no resonance overlap)

=> backward integrations: conservation of the DF in infinitesimal phase-space patches following the Hamiltonian flow, which allows us to compute the current DF by integrating orbits backward in time to an axisymmetric equilibrium state,  $f_0(\mathbf{J})$ 

$$f_{\mathrm{T}}(p_1, t_1) = f_{\mathrm{T}}[p(t_0), t_0]$$

Vauterin & Dejonghe (1997)

#### Yassin's talk

#### Age of the (end of growth of) the bar ?

A slowing-down bar would imply a relatively old bar. But what happened in the last 3 Gyr?



#### Disk tidal streams: a new probe

With Gaia, tidal tails of open clusters in the disk have started being discovered (combination of exquisite Gaia data and detailed N-body simulations)



Jerabkova et al. (2021)

# The bar exerts torques on orbits

- $L_z = J_{\phi}$  conserved in axisymmetric potentials but not in a barred one
- Oscillation especially important at resonances (remember that  $J_{\phi}$  then oscillates as a pendulum)
- Because of conservation of Jacobi integral  $E_J = E \Omega_b J_{\phi}$ , variations of  $J_{\phi}$  also imply variations of energy
- ⇒ « *shepherding* » *of streams* (Hattori et al. 2016) : depending on the phase of the orbit, the amount of angular momentum and energy variations is different
- ⇒ differential changes imply different orientations (through differential angular momentum changes) and spread (through differential energy changes) of the streams

# **Shepherding the Hyades stream**



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Bayesian membership selection from photometric filtering + kinematics



- Both selections well populated => stars from the disc having similar photometry/dynamical properties as Hyades > number of stars from stream itself
- Needs to add spirals
- Needs HR chemical labelling ! (Li at 5000  $K < T_{eff} < 6500 K$ )