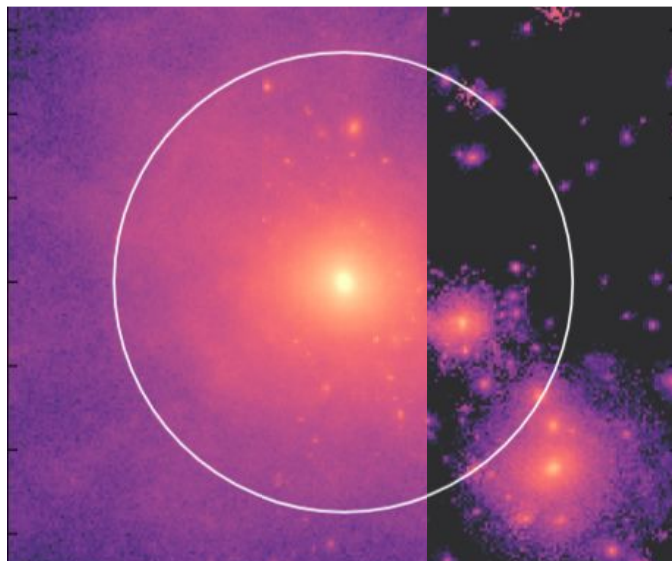


# Subhalos in the Mochima simulations

## The impact of baryonic physics



Collaborators:  
Emmanuel Nezri  
Pol Mollitor

News from the dak 9  
Marseille  
Nov 2024

Arturo Nuñez-Castiñeyra

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# What is a Galaxy and how to simulate it

Cosmological initial conditions and the right ingredients can help the understanding of galaxy formation

What are the right ingredients?

LE  
GALAXY  
BAR - RESTAURANT



# What is a Galaxy and how to simulate it

DM

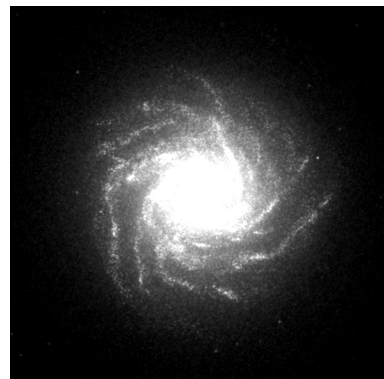
**Collisionless limit** of the Boltzmann equation:

$$\frac{Df}{Dt} = \frac{\partial}{\partial t} f(\mathbf{x}, \mathbf{v}, t) + \mathbf{v} \frac{\partial}{\partial \mathbf{x}} f + \mathbf{a} \frac{\partial}{\partial \mathbf{v}} f = 0$$

Liouville theorem: number of particles is conserved in phase-space. The gravitational acceleration is given by

**Poisson equation:**

$$\Delta\Phi(\mathbf{x}, t) = 4\pi Gm (n(\mathbf{x}, t) - \bar{n}) \quad n(\mathbf{x}, t) = \int f(\mathbf{x}, \mathbf{v}, t) d^3v$$



# What is a Galaxy and how to simulate it

Gas

DM

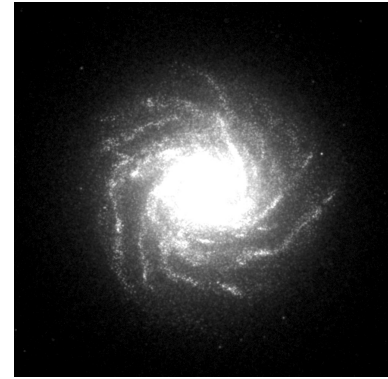
Gas is a highly collisional system with a Maxwell distribution function.

Hydro. A system of three conservation laws + EoS

$$\partial_t \rho + \nabla \cdot \mathbf{m} = 0 \quad (\text{mass})$$

$$\partial_t \mathbf{m} + \nabla \cdot (\rho \mathbf{u} \times \mathbf{u}) + \partial_x P = 0 \quad (\text{momentum})$$

$$\partial_t E + \nabla \cdot \mathbf{u}(E + P) = 0 \quad (\text{energy})$$



# What is a Galaxy and how to simulate it

Gas

DM

Gas is a highly collisional system with a Maxwell distribution function.

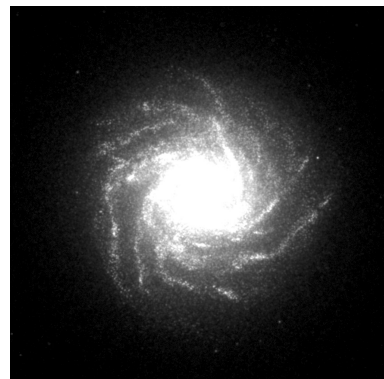
A system of three conservation laws + EoS (hydro)

$$\partial_t \rho + \nabla \cdot \mathbf{m} = 0 \quad (\text{mass})$$

$$\partial_t \mathbf{m} + \nabla \cdot (\rho \mathbf{u} \times \mathbf{u}) + \partial_x P = 0 \quad (\text{momentum})$$

$$\partial_t E + \nabla \cdot \mathbf{u}(E + P) = 0 \quad (\text{energy})$$

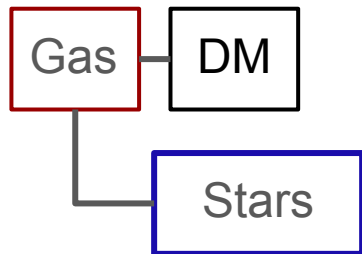
Add gravity and heating and cooling rates. (this can be expanded to include magnetic fields as well)



Turbulence

Grav  
Collapse

# What is a Galaxy and how to simulate it

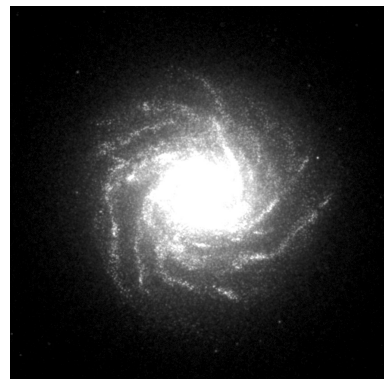


We need an effective model at the scale of the spatial resolution:

$$\dot{\rho}_* = \epsilon_{\text{ff}} \frac{\rho_g}{t_{\text{ff}}} \quad \text{for } \rho_g > \rho_*$$

Ruled by the star formation efficiency

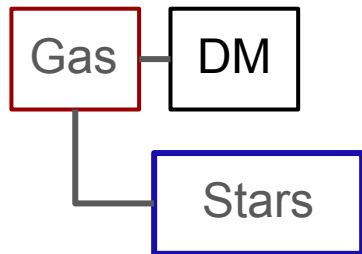
Star formation



Turbulence

Grav  
Collapse

# What is a Galaxy and how to simulate it



We need an effective model

$$\dot{\rho}_* = \epsilon_{\text{ff}} \frac{\rho_g}{t_{\text{ff}}} \text{ for } \rho_g > \rho_*$$

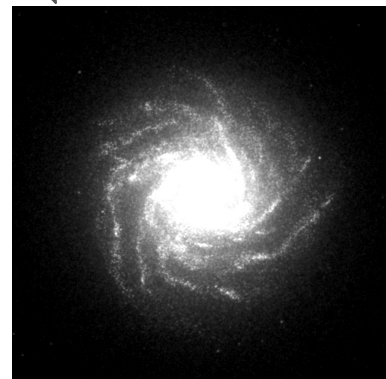
Ruled by the star formation efficiency

- Constant efficiency galaxy wide
- Environmental dependent efficiency

$$\epsilon_{\text{ff}} = \epsilon_{\text{ff}}(\mathcal{M}, \alpha_{\text{vir}})$$

Multi-freefall star formation (Federrath & Klessen (2012))

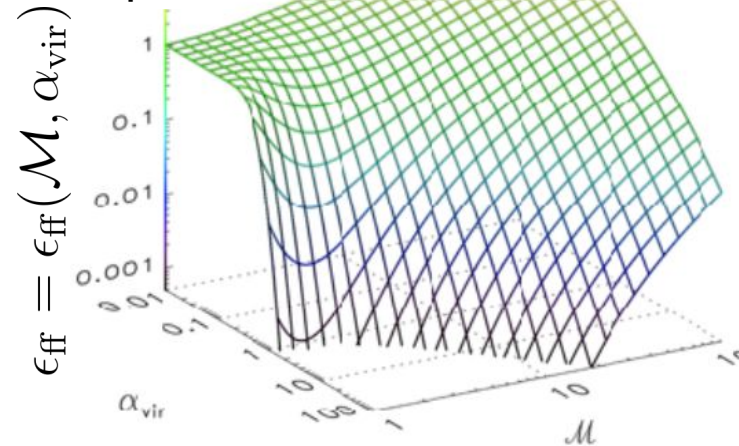
Star formation



Turbulence

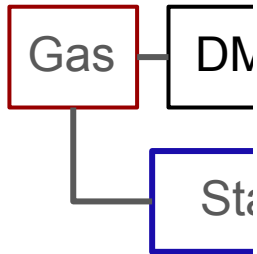


Grav  
Collapse

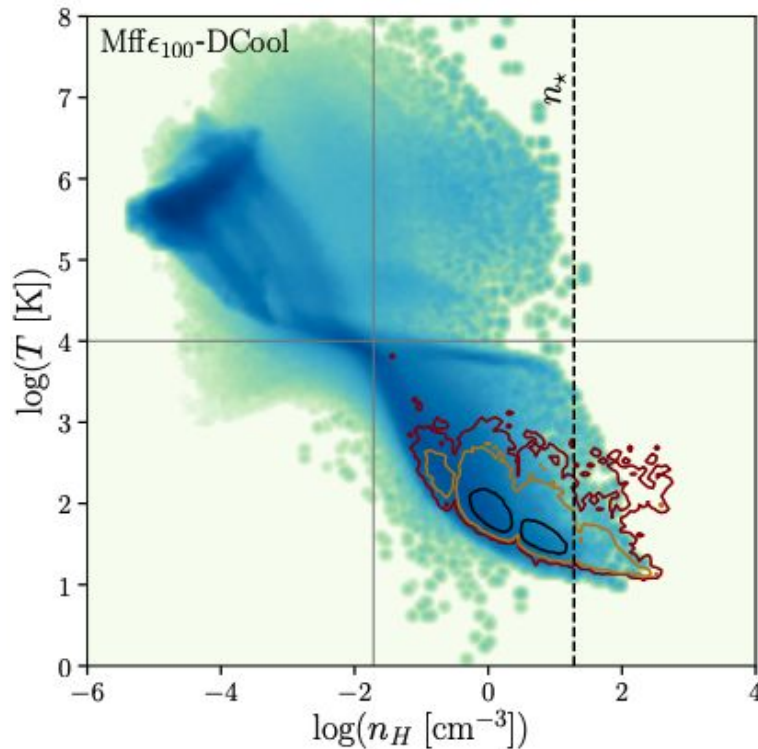
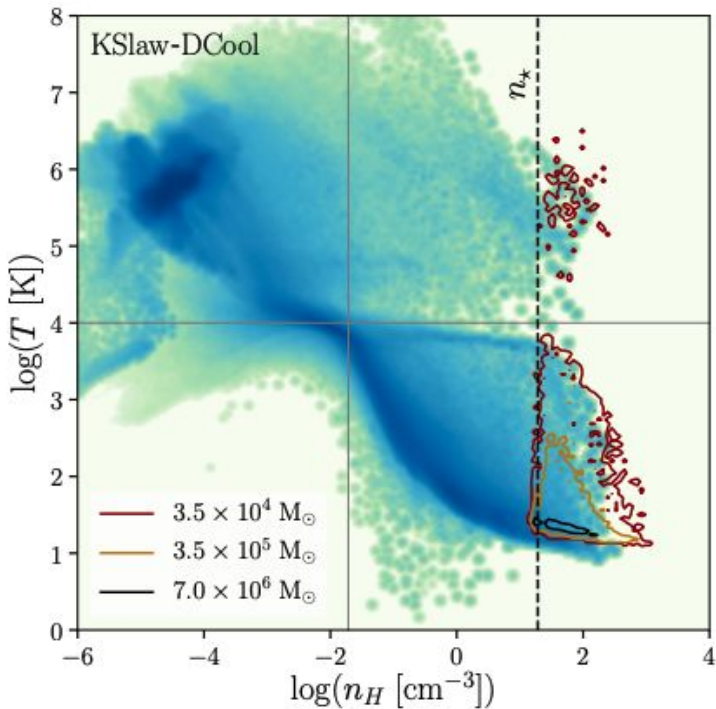


# What is a Galaxy and how

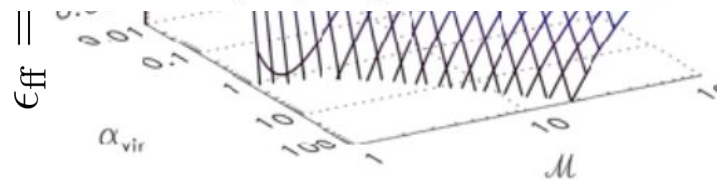
Star formation ←



- Con
- Env



$$\epsilon_{\text{ff}} = \epsilon_{\text{ff}}(\mathcal{M}, \alpha_{\text{vir}})$$

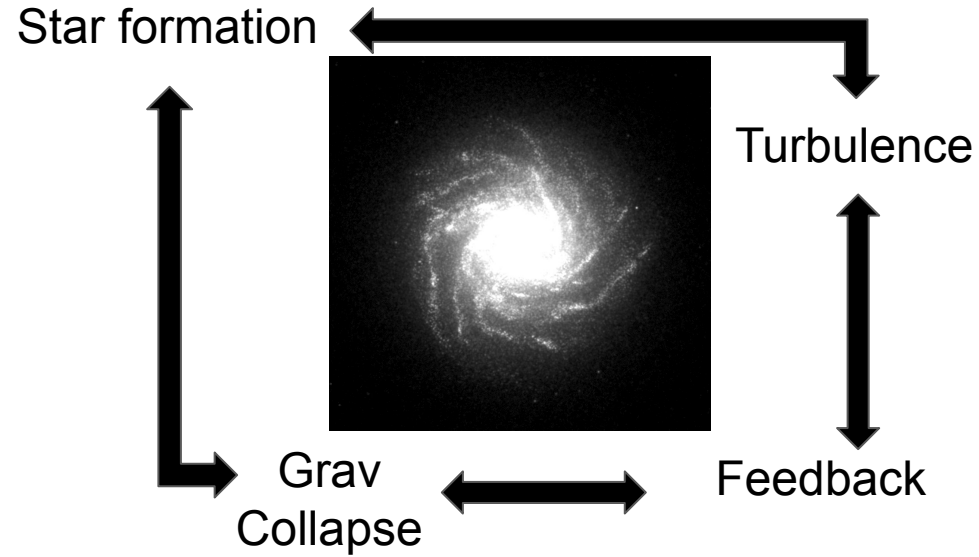
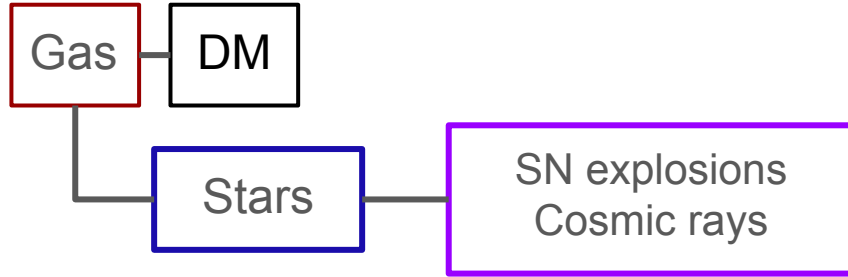


Multi-freefall star formation (Federrath & Klessen (2012))

ence



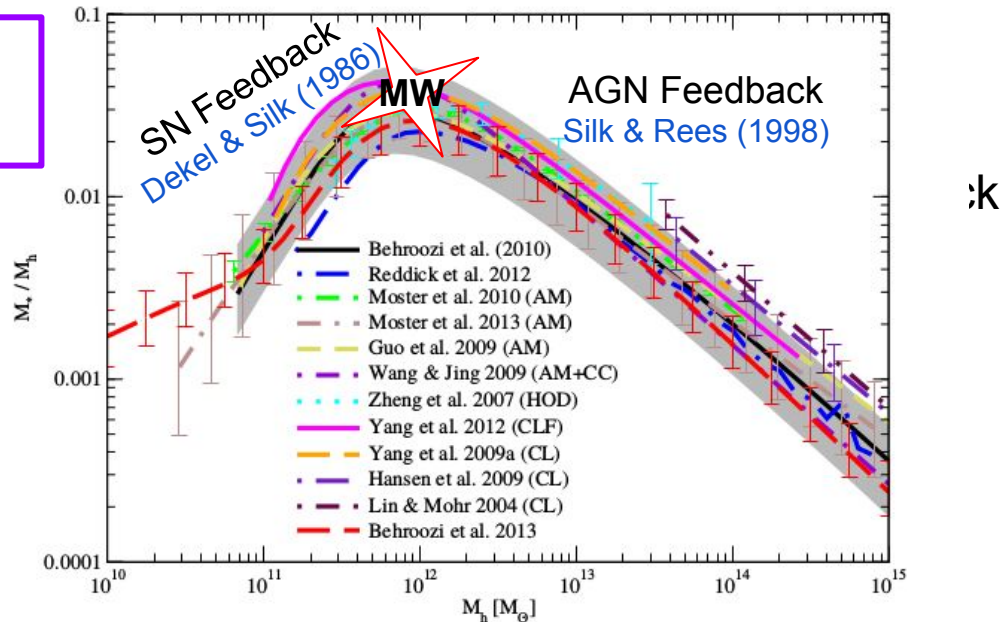
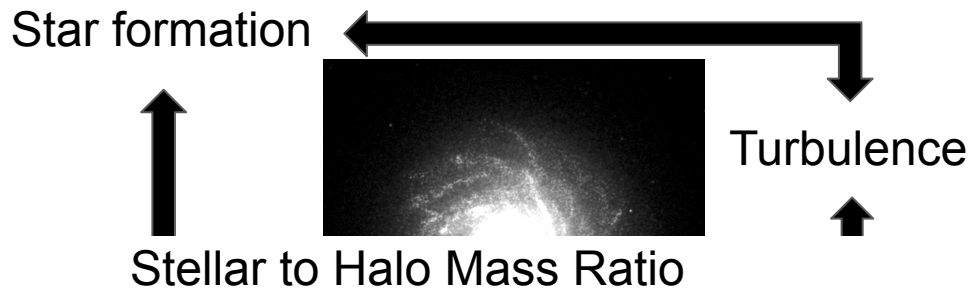
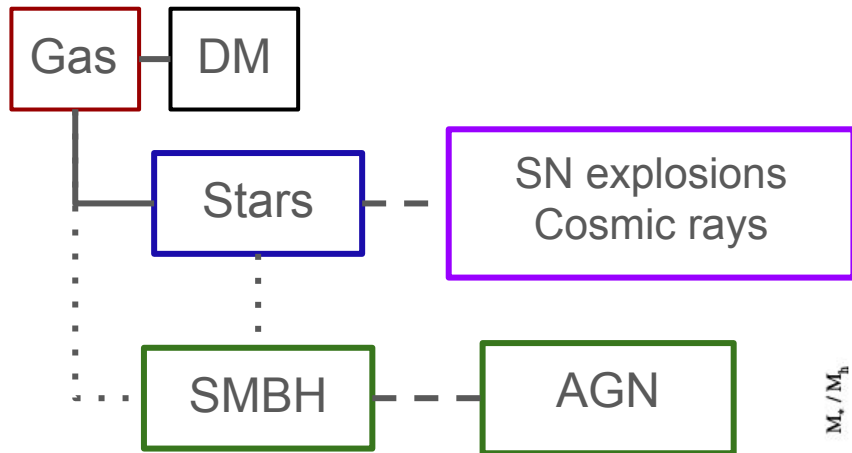
# What is a Galaxy and how to simulate it



We need effective models:

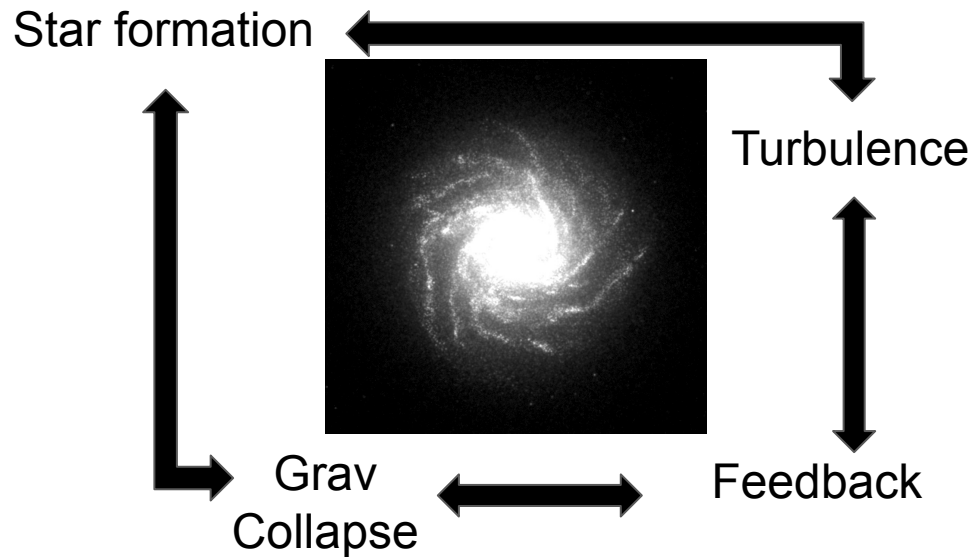
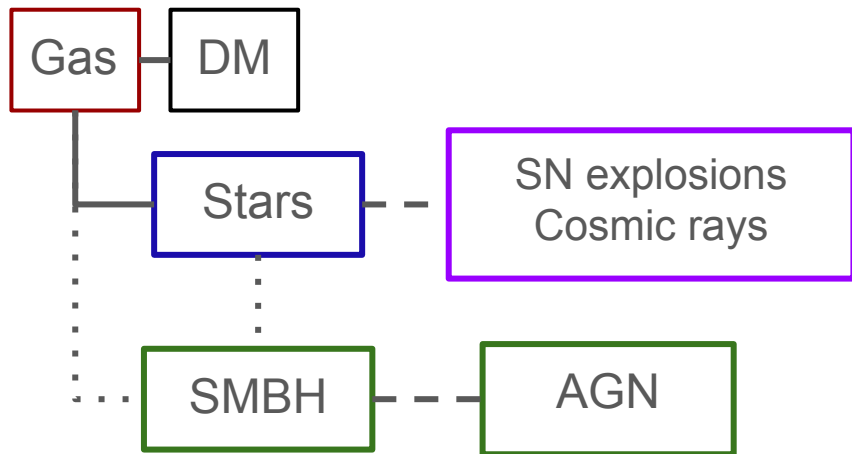
- **SN** : thermal or kinetic energy injections, delayed local cooling, mechanical Sedov Taylor phases. (Teyssier et al. 2013, Dubois et al. 2015, Kimm & Cen 2014, Kimms et al. 2015.)
- **Cosmic rays**: relativistic fluid that provides an effective pressure (Low energy GeV) (Dubois & Commerçon 2016)

# What is a Galaxy and how to simulate it



Behroozi et al. (2013)

# What is a Galaxy and how to simulate it



At the end, with these ingredients.. You have a nonlinear environment that evolves with time and can be compared with observation (?)... giving us information on:

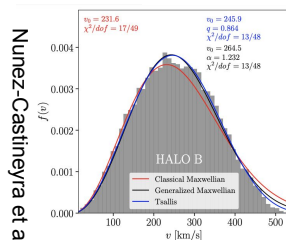
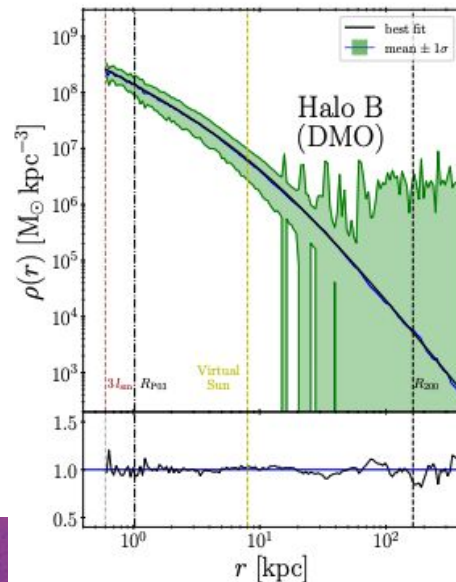
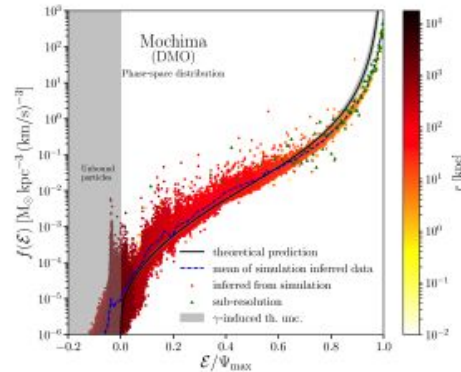
- Galaxy formation
- Galactic dynamics
- Dark matter distribution

# Dark matter content

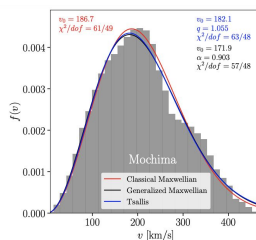
Full access to the DM distribution position and velocity

- Density profiles
- Phase space distribution
- Assembly history

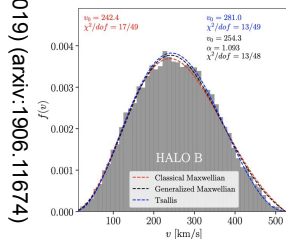
Lacroix. ANC+ 2020



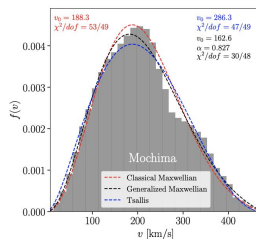
(a) Halo B



(b) Mochima

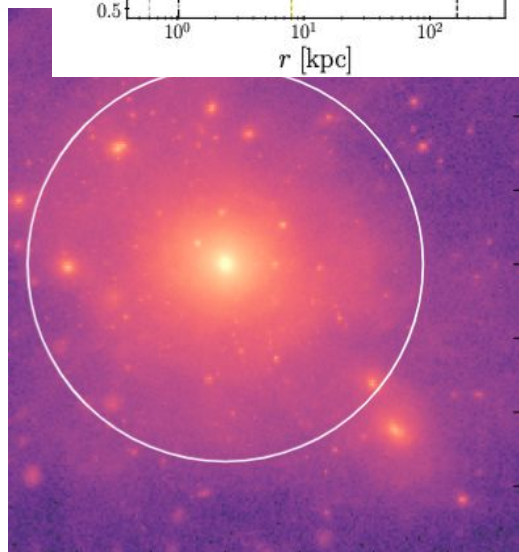


(c) Halo B with  $v_{esc}$



(d) Mochima with  $v_{esc}$

Nunez-Castineyra et al (2019) (arXiv:1906.11674)

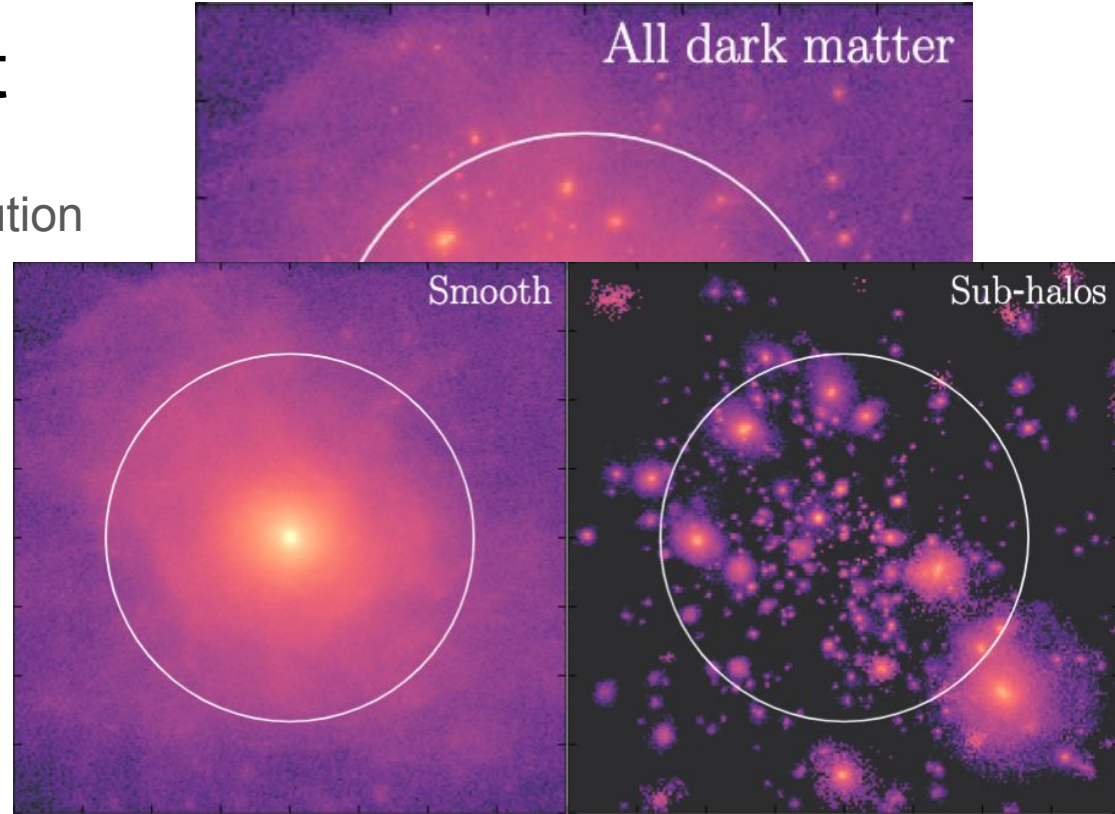


# Dark matter content

Full access to the DM distribution  
position and velocity

- Density profiles
- Phase space distribution
- Assembly history

In a LCDM Universe the a halo is formed from in a bottom up manner.. From small halos to big halos.



# Dark matter content

- Cusp-Core problem (Diversity)

When it comes to dark matter halos

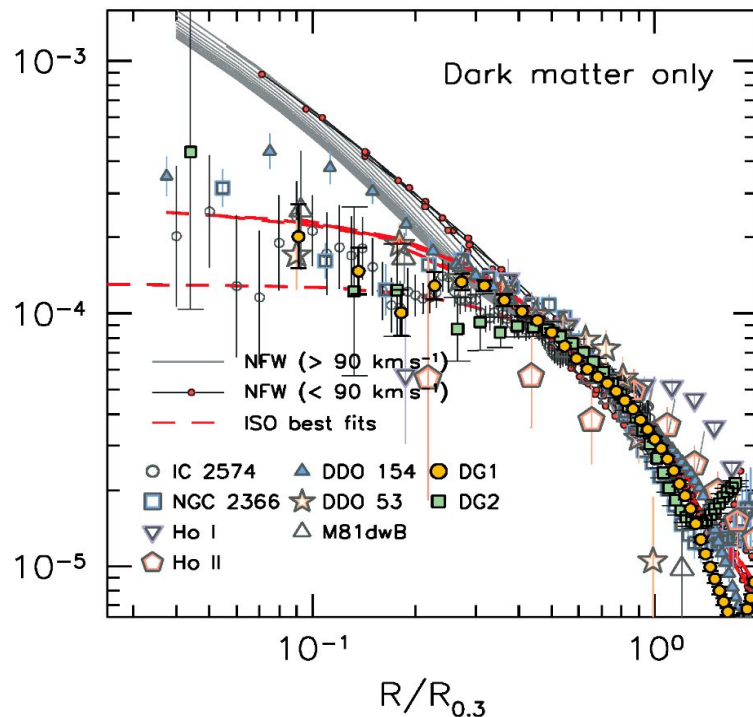
Simulations predict one thing (mostly cusps)

Observations infer other (mostly cores)

De Blok (2009), Del Popolo & Le Delliou (2021)

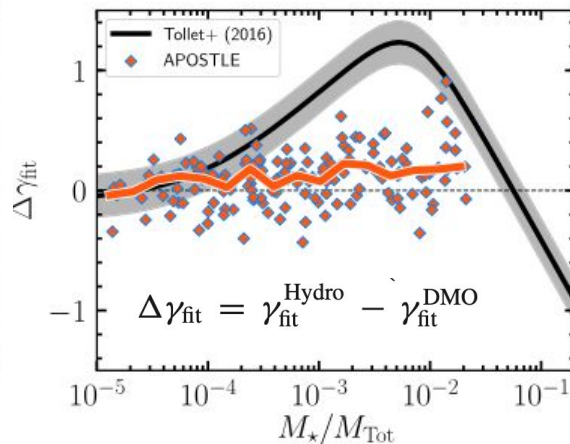
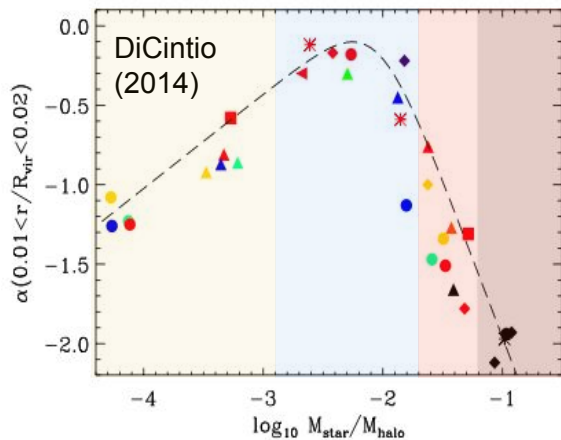
- Missing satellites situation(?)

Simulations predict higher number of satellites than what is observed.

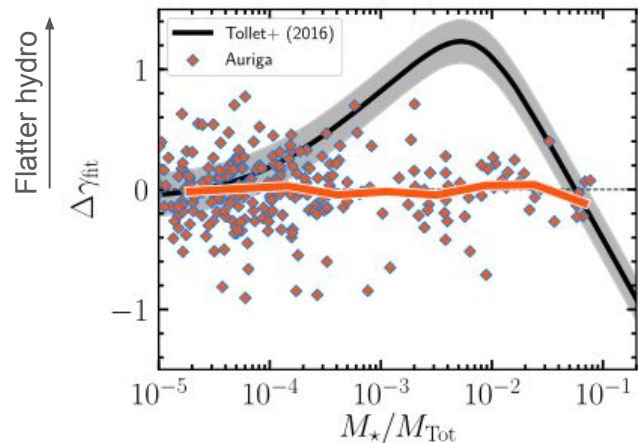




# Baryons complicate the story but could solve the problems



*Bose et al. (2019)*

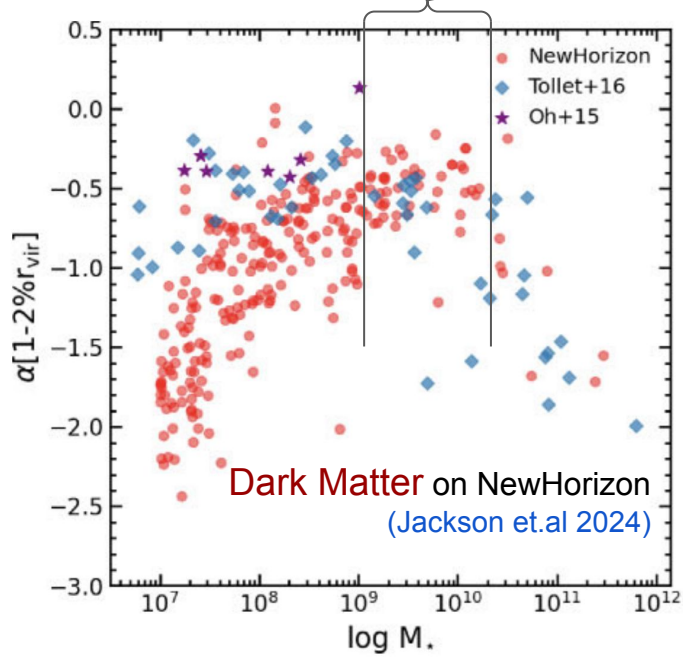


- stellar feedback can't alter inner dark matter, so the galaxy remains cuspy.
- feedback expands dark matter, creating cored profiles.
- Central stars deepen gravity enough to counter expansion, resulting in cuspier profiles.

NIHAO: Cores are likely created by a very strong FB

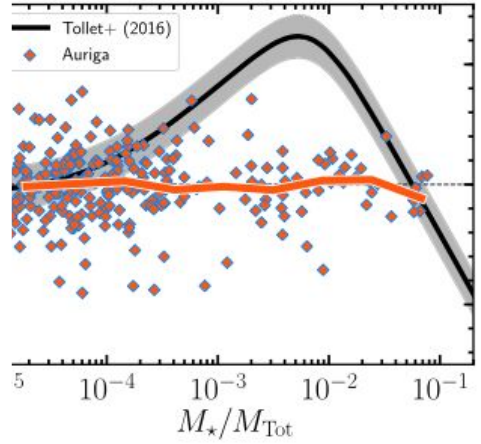
APOSTLE and Auriga: do not find evidence of core formation at *any* mass or any correlation between the inner slope of the DM density profile and temporal variations in the SFH

# Baryons complicate the story but could solve the problems



New Horizons: Cores form through **supernova-driven gas removal**, which alters the central gravitational potential, inducing dark matter to migrate to larger radii.

Similar to what was proposed by Governato et al. 2012; Pontzen & Governato 2012;



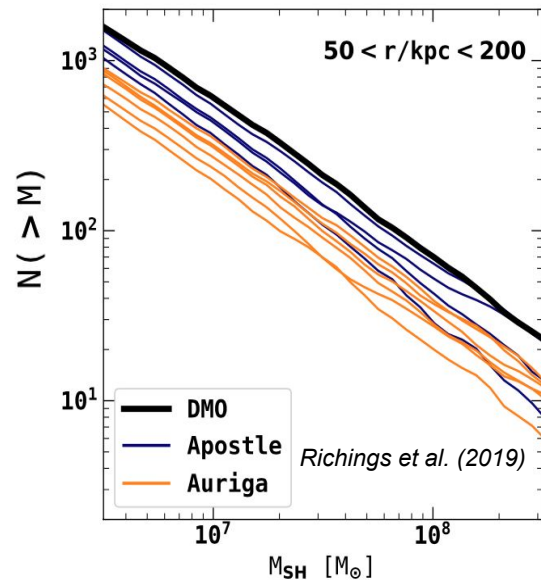
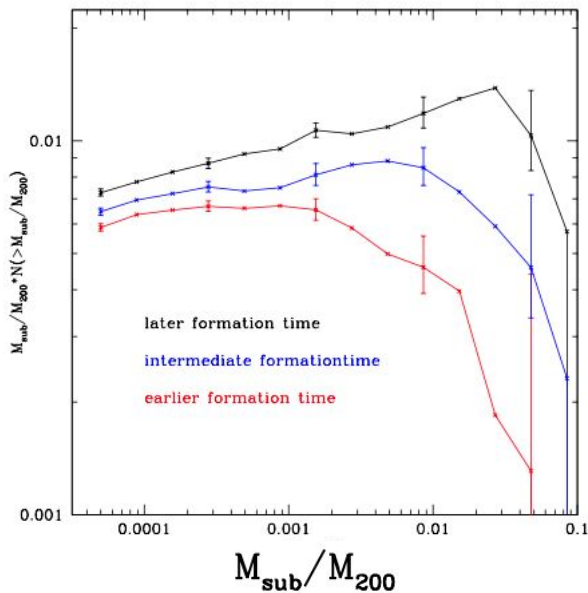
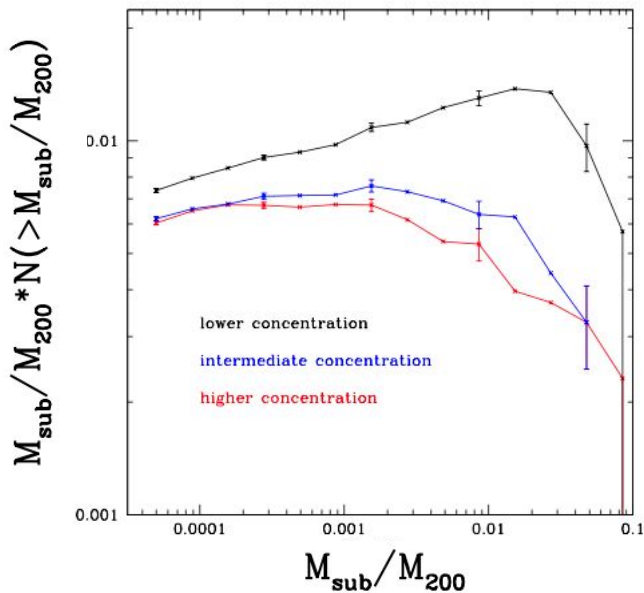
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Central stars deepen gravity enough to counter expansion, resulting in cuspier profiles.



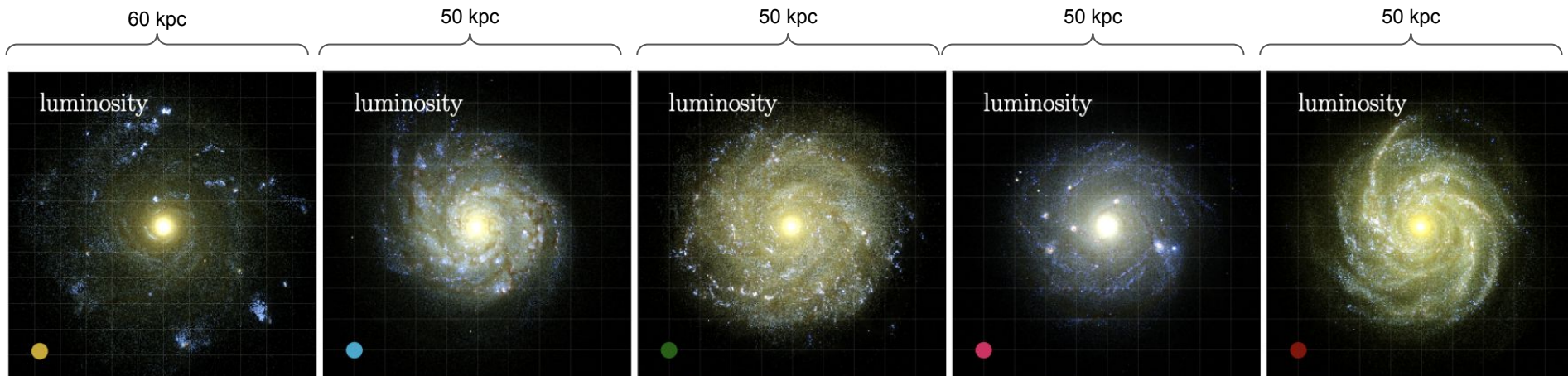
# Baryons complicate the story but could solve the problems



Gao et, al. (2010): The subhalo abundance function correlates with the host halo concentration parameter and formation redshift.

*Richings et al. (2019)*  
less massive halos are more prone to tidal disruption.





## The Mochima simulations

Stellar mass  $\sim 5e10 M_{\text{sun}}$

Total mass  $\sim 1.5e12 M_{\text{sun}}$

**5 simulations with baryons + 1 DMO**

done using AMR code Ramses (Teyssier et al 2002)

DM is cold dark matter

(very massive  $\sim 1e4 M_{\text{sun}}$  collisionless particles )

Zoom-in technique

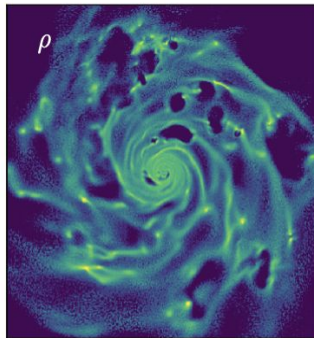
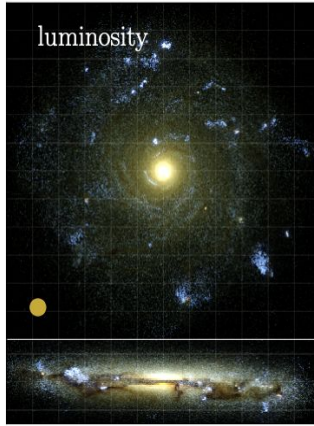
Resolution 35 pc

In a 36 Mpc box

Nunez-Castineyra et al (2020) Same galaxy, same initial conditions, different baryonic physics (SN and SF)  
(arxiv:2004.06008)

Delayed Cooling  
(Dubois et al 2015)

Kennicutt-Schmidt SF



## Kennicutt-Schmidt SF:

$$\dot{\rho}_\star = \epsilon_{\text{ff}} \frac{\rho_g}{t_{\text{ff}}} \quad \text{for } \rho_g > \rho_\star$$

$\epsilon_{\text{ff}}$  is constant and calibrated to reproduce KS law.

## Delayed cooling SN feedback:

Inject directly a non-thermal energy corresponding to the SN explosion

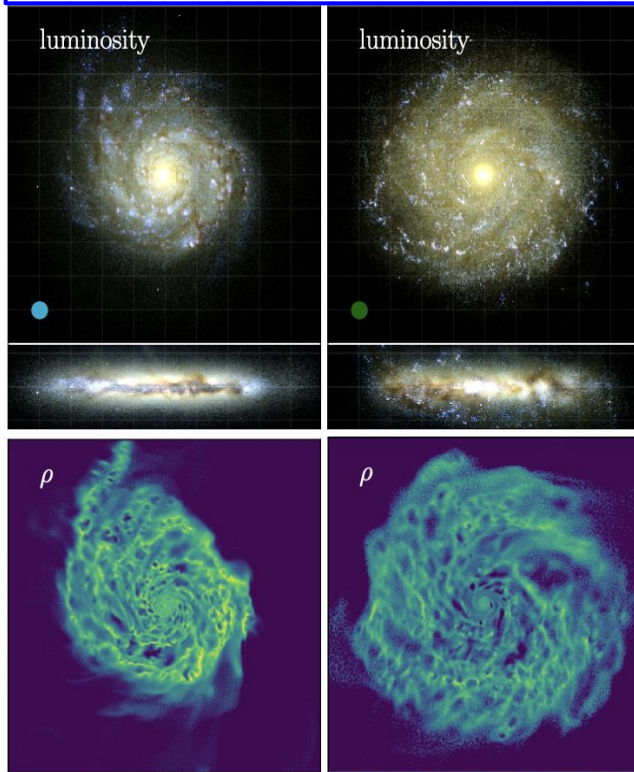
$$\rho \frac{D\epsilon_{\text{turb}}}{Dt} = \dot{E}_{\text{inj}} - \frac{\rho\epsilon_{\text{turb}}}{t_{\text{diss}}}$$

The energy corresponds to the fraction of massive stars expected to be more massive than 8 Msun assuming a universal IMF.

Teyssier et al. 2013, Dubois et al. 2015.

Delayed Cooling  
(Dubois et al 2015)

Turbulent SF  
(multi-ff KN Hennebelle & Chabrier 2011)



### Turbulent SF:

Environment dependent efficiency:  $\epsilon_{\text{ff}} = \epsilon_{\text{ff}}(\mathcal{M}, \alpha_{\text{vir}})$

$$\epsilon_{\text{ff}} = \frac{\epsilon}{2\phi_t} \exp\left(\frac{3}{8}\sigma_s^2\right) \left[1 + \text{erf}\left(\frac{\sigma_s^2 - s_{\text{crit}}}{\sqrt{2}\sigma_s^2}\right)\right]$$

where:  $\sigma_s^2 = \ln(1 + b^2 \mathcal{M}^2)$       $\mathcal{M} = \frac{\sigma_T}{c_s}$

$$\rho_{\text{crit}} \propto \alpha_{\text{vir}} \mathcal{M}^2 \quad \alpha_{\text{vir}} = \frac{\sigma_T^2}{G\rho_0 \Delta^2}$$

Hennebelle & Chabrier 2003

### Delayed cooling SN feedback:

Inject directly a non-thermal energy corresponding to the SN explosion

$$\rho \frac{D\epsilon_{\text{turb}}}{Dt} = \dot{E}_{\text{inj}} - \frac{\rho\epsilon_{\text{turb}}}{t_{\text{diss}}}$$

Teyssier et al. 2013, Dubois et al. 2015.

Turbulent SF:

Environment dependent efficiency:  $\epsilon_{\text{ff}} = \epsilon_{\text{ff}}(\mathcal{M}, \alpha_{\text{vir}})$

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Mechanical FB:

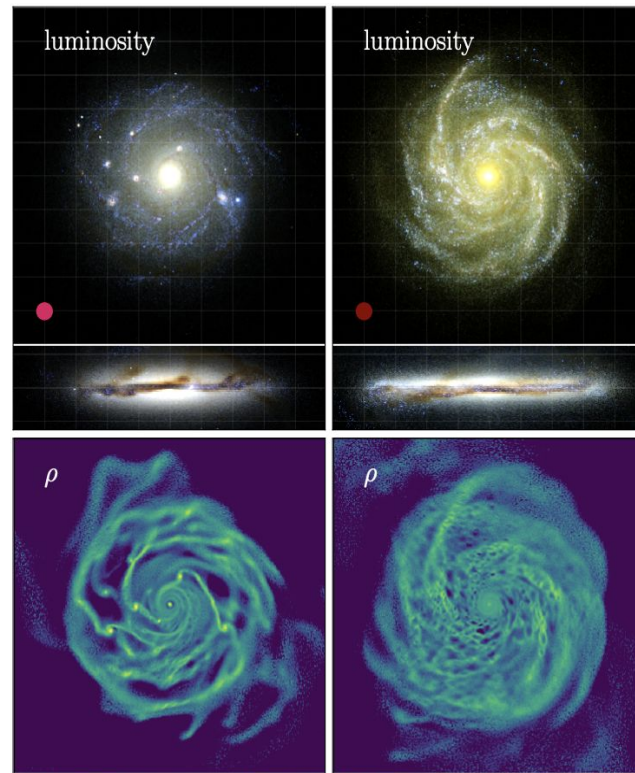
Model the two phases of the SN explosion and inject the corresponding momentum

$$p_{\text{SN,snow}} \approx 3 \times 10^5 \text{ km s}^{-1} M_{\odot} E_{51}^{16/17} n_{\text{H}}^{-2/17} Z'^{-0.14}$$

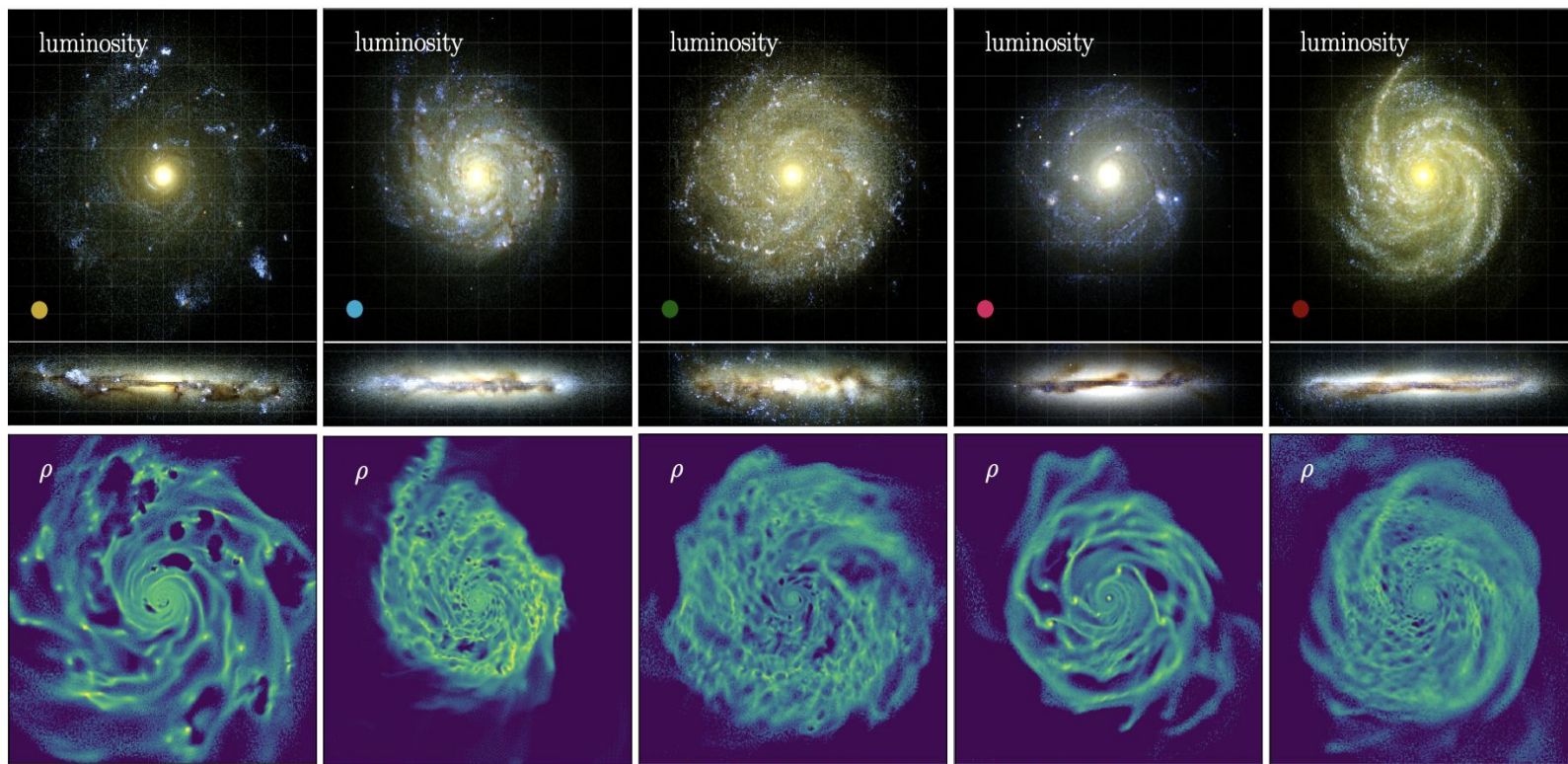
$$p_{\text{SN}} = \begin{cases} p_{\text{SN,ad}} = \sqrt{2\chi M_{\text{ej}} f_e E_{\text{SN}}} & (\chi < \chi_{\text{tr}}) \\ p_{\text{SN,snow}} & (\chi \geq \chi_{\text{tr}}) \end{cases}$$

$$\chi \equiv dM_{\text{swept}}/dM_{\text{ej}} \quad \chi_{\text{tr}} \equiv 69.58 E_{51}^{-2/17} n_{\text{H}}^{-4/17} Z'^{-0.28}$$

Kimm & Cen 2014. Kimms et al. 2015.

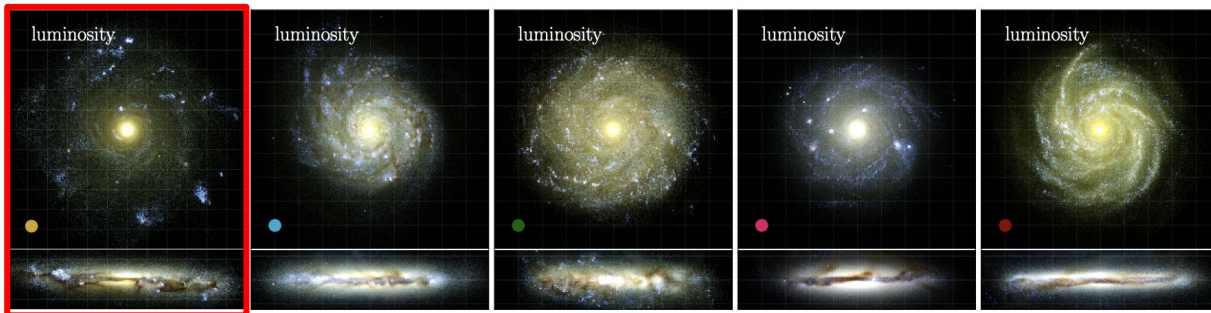






Nunez-Castineyra et al  
(arxiv:2004.06008)

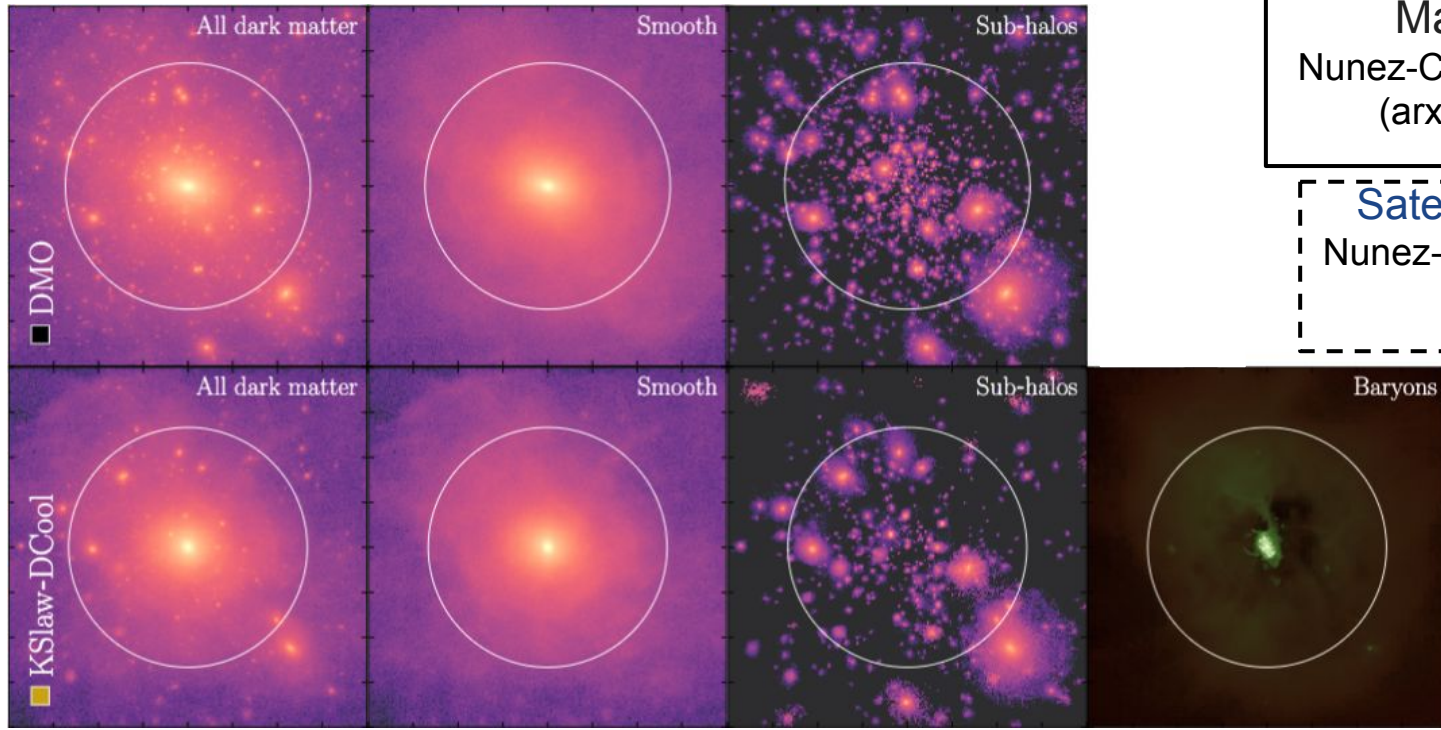
Same galaxy, same initial conditions, different baryonic physics (SN and SF)



**Baryonic Analysis and comparisons**  
 Nunez-Castineyra et al 2020  
 (arxiv:2004.06008)

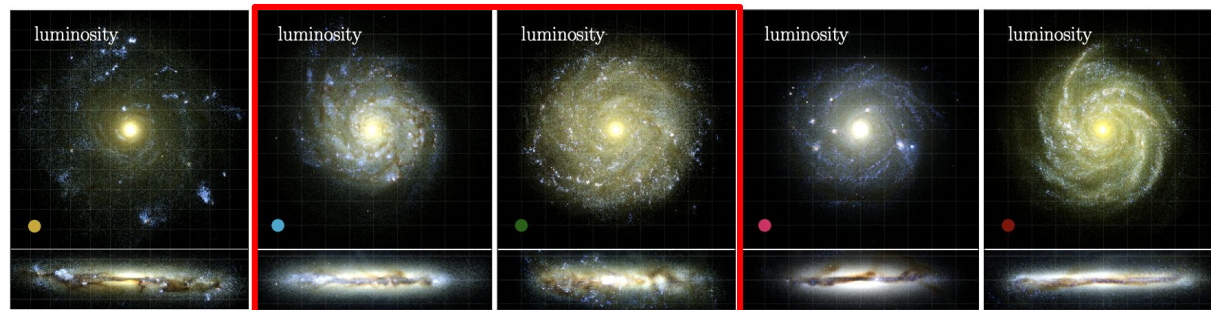
**Dark Matter Main DM halo**  
 Nunez-Castineyra et al 2023  
 (arxiv:2301.06189)

**Satellites subhalos**  
 Nunez-Castineyra in prep  
 (soon :)

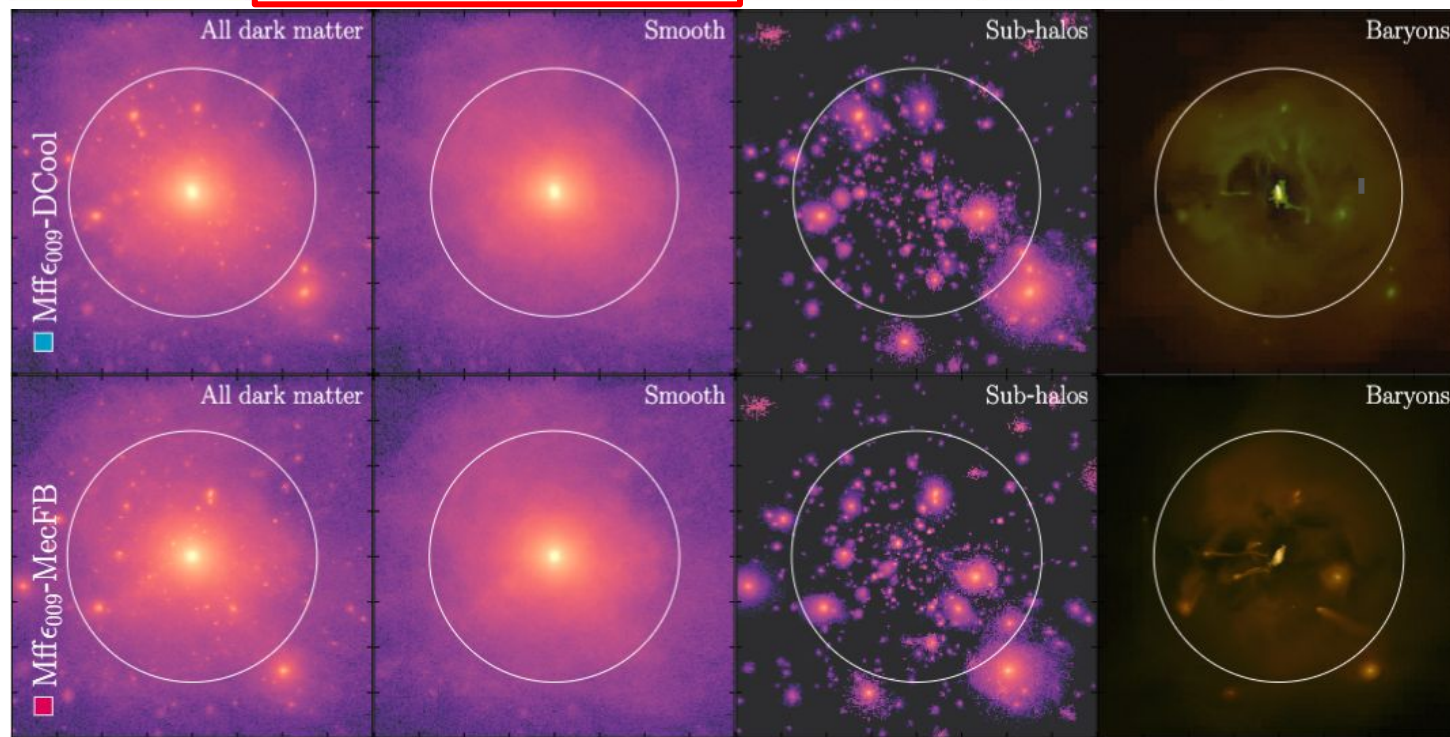


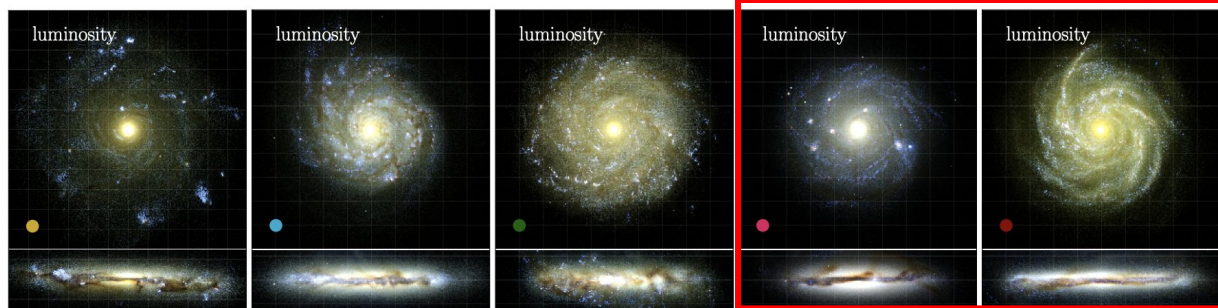
DMO and Benchmark runs



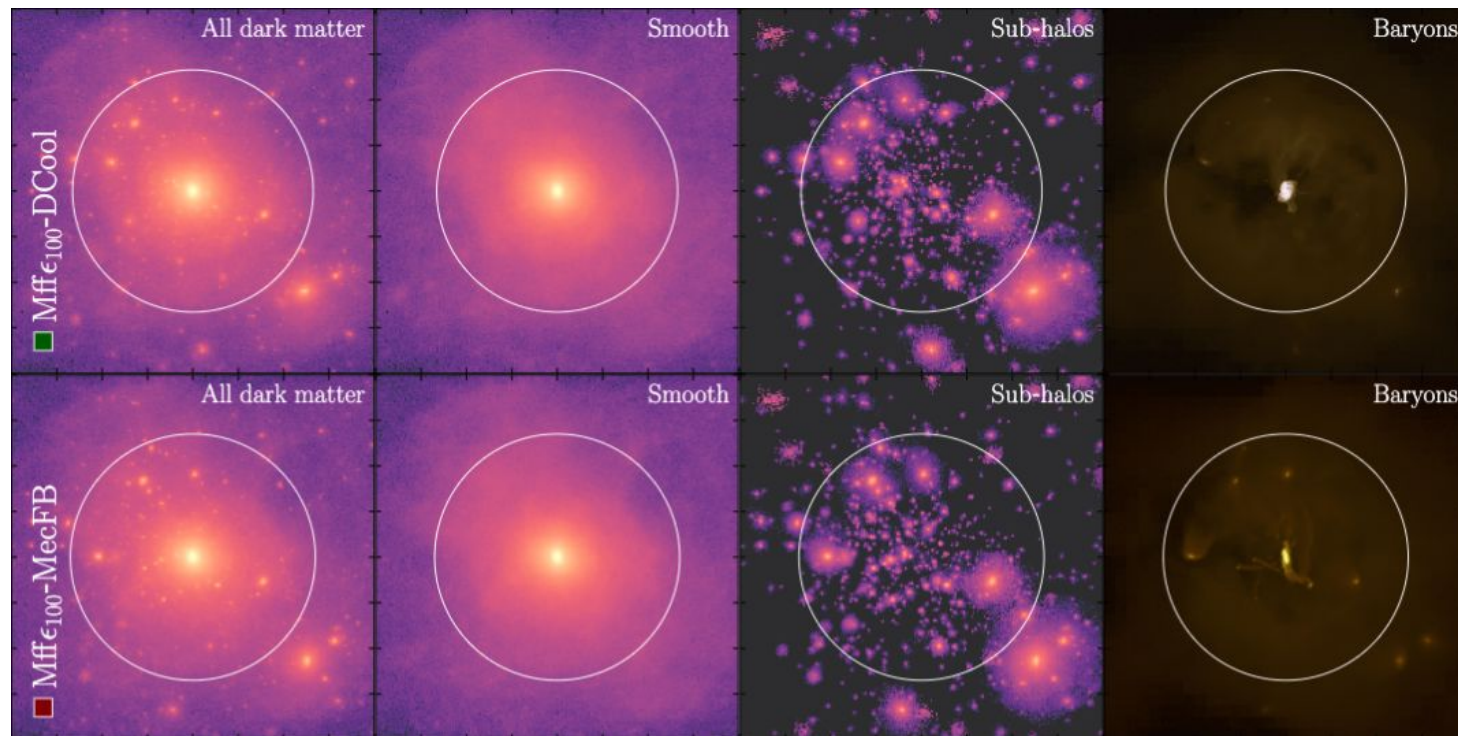


Turbulent SF  
with  
protostellar  
parameter

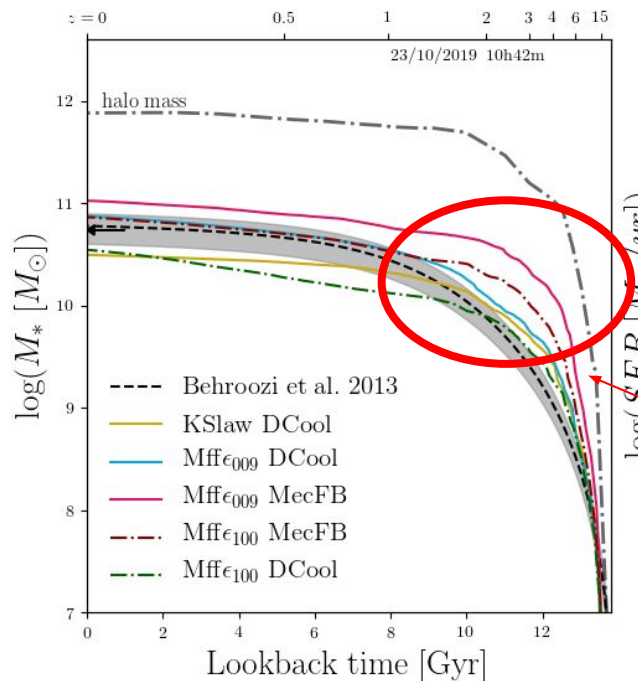




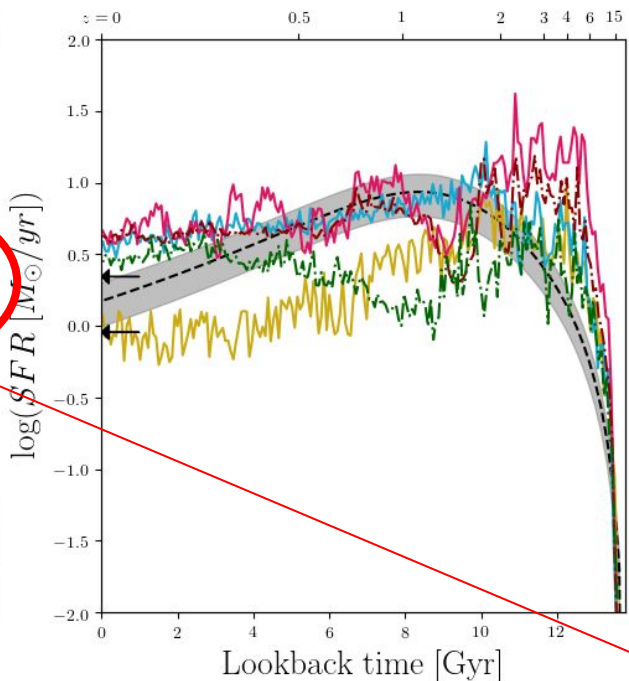
Turbulent SF  
without  
protostellar  
parameter



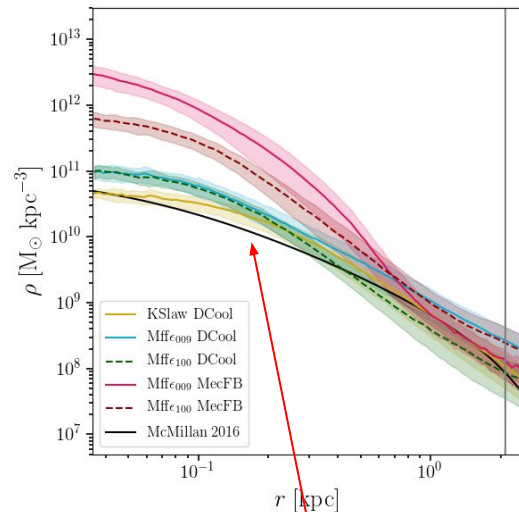
# Stellar mass



# SFR



# Stellar bulge density profile



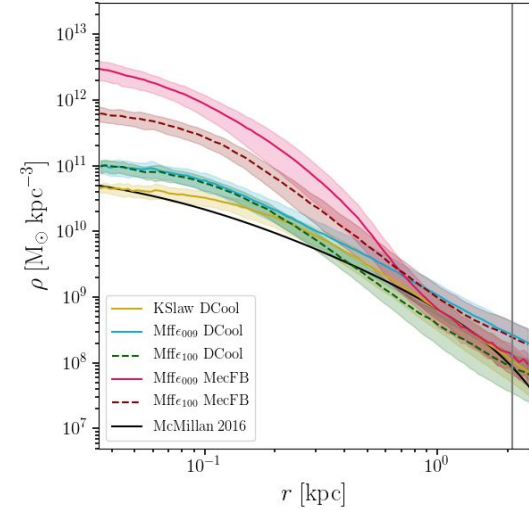
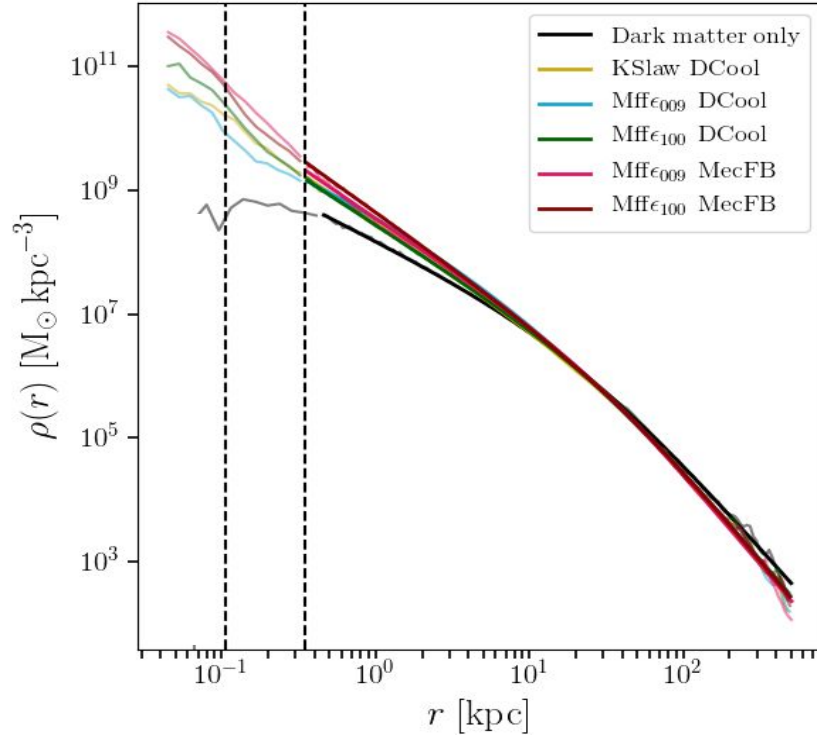
The bulge is composed mainly of old stars formed before  $z = 2$

Nunez-Castineyra et al (2020) (arxiv:2004.06008)

**Bulge?**

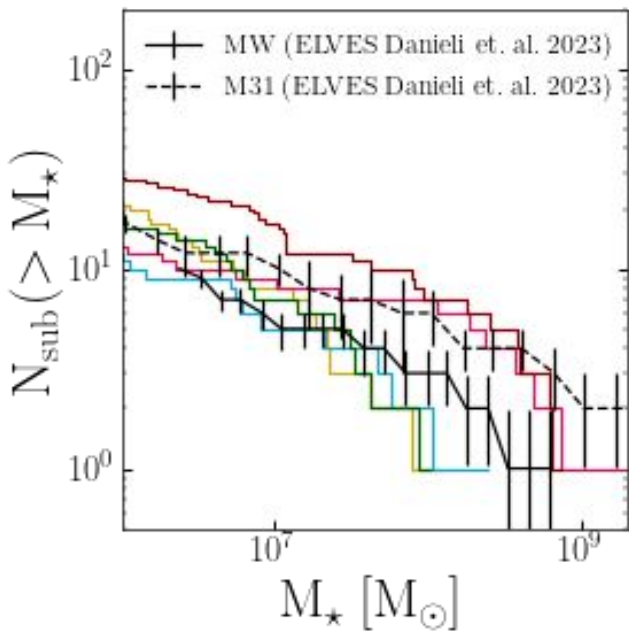


# Dark matter distribution

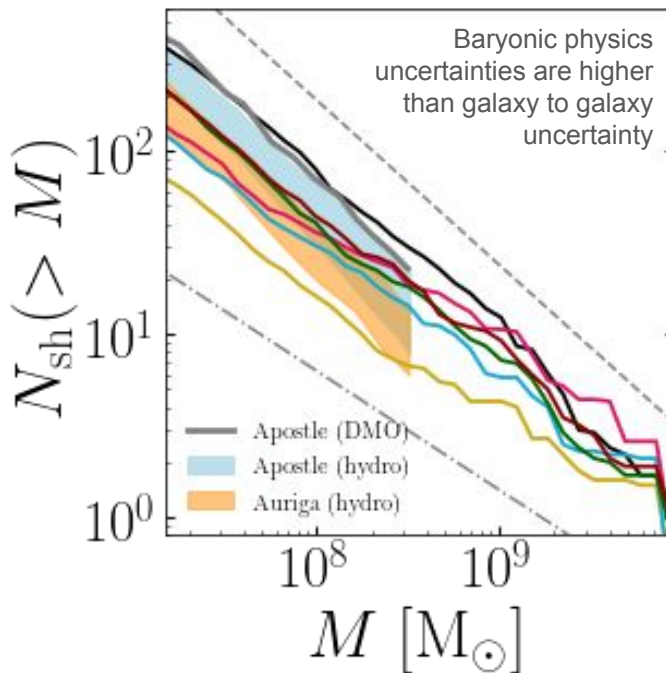


The DM halos are very cuspy. They suffer adiabatic contraction which intensities are related to the bulge size.

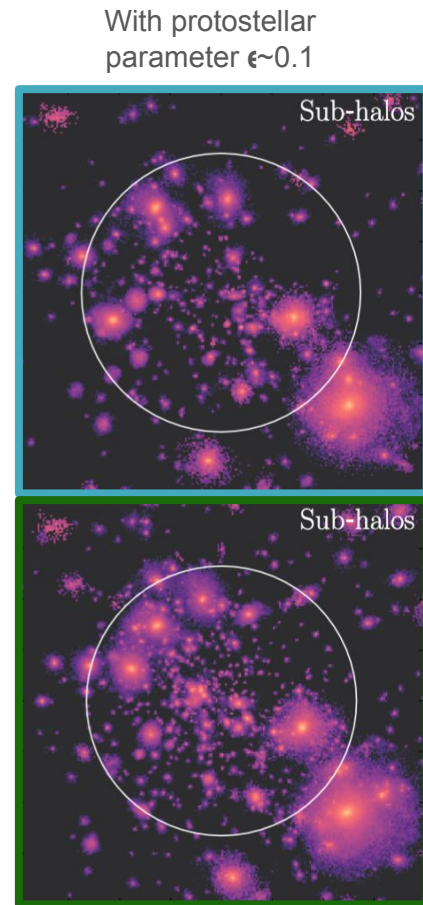
# Subhalos



Stellar mass compared to satellites from MW and M31

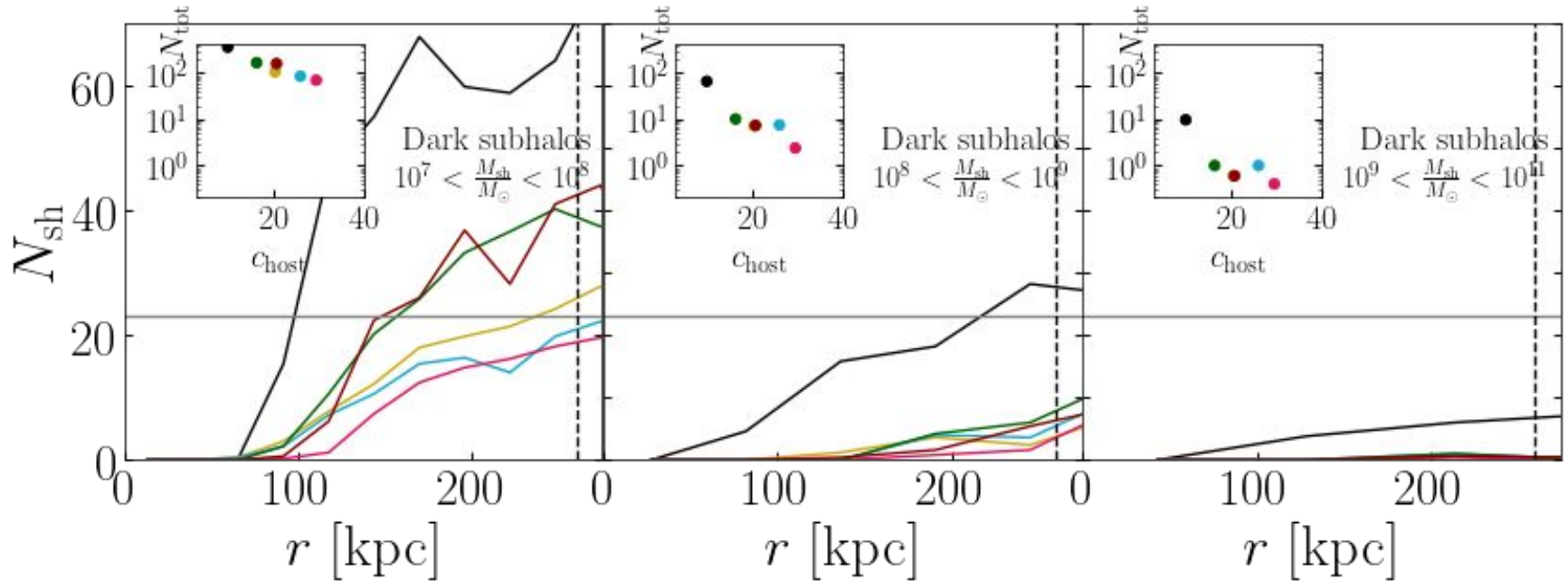


Subhalo dark matter mass



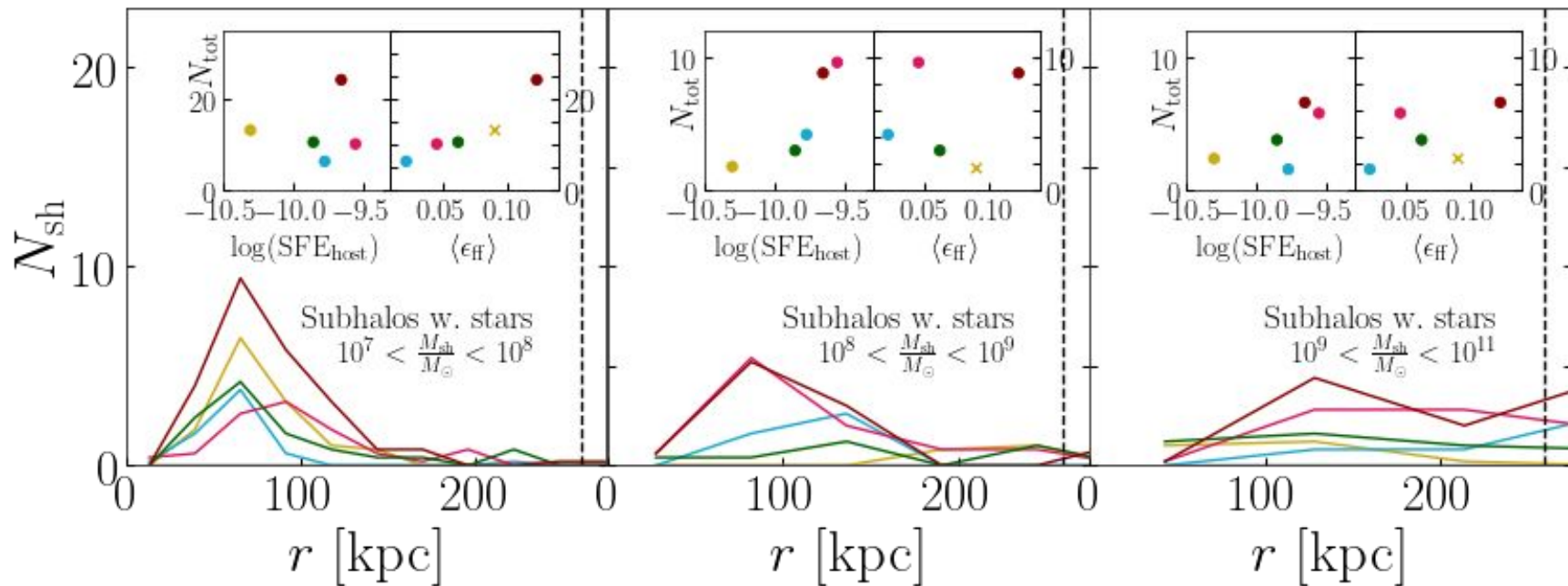
With no protostellar parameter  $\epsilon \sim 1$

# Subhalos without stars



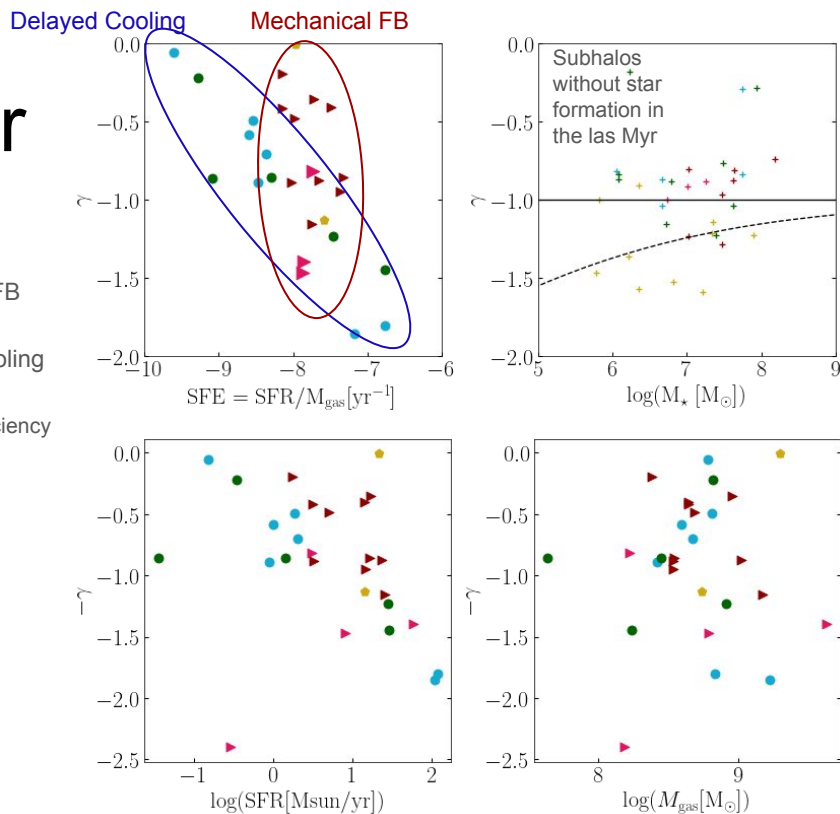
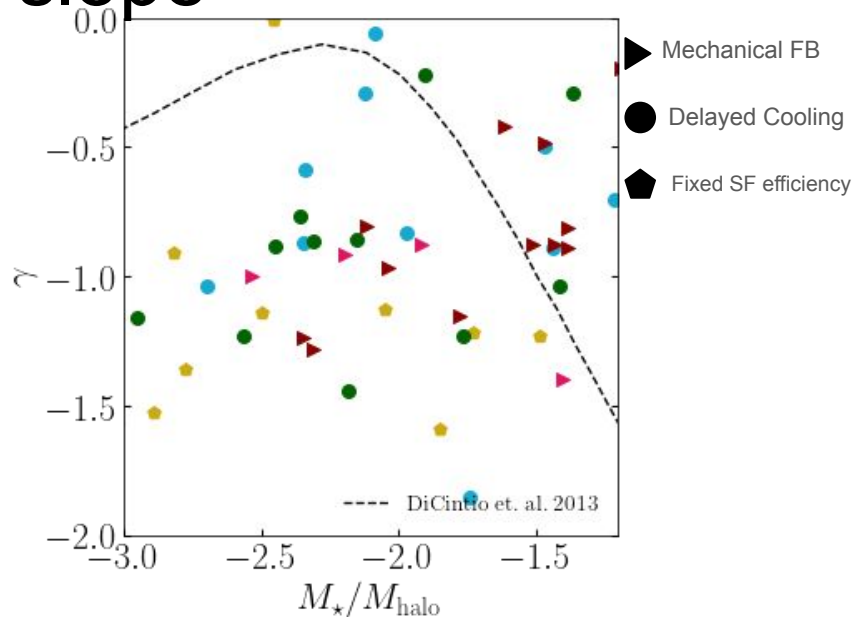
- The fraction of star populated subhalos increases with subhalo mass
- The total number of subhalos is related to the host halo concentration

# Subhalos with stars



- Low mass star populated subhalos are found in the inner halo and seem to be related to the star formation efficiency in the subgrid physics implementation. (resolution?)
- Higher mass subhalos seem to behave like galactic environment

# Subhalos density inner slope



No relation between  $M_{\text{star}}/M_{\text{halo}}$  is observed



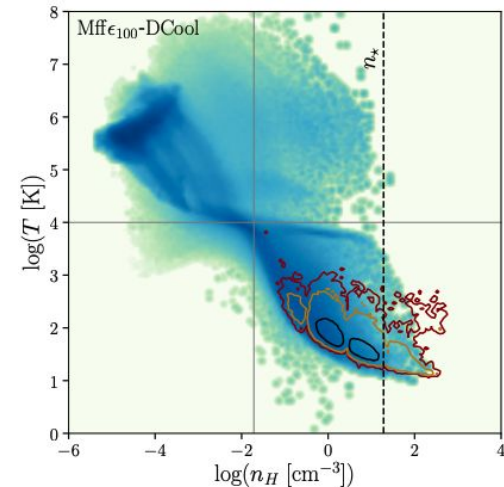
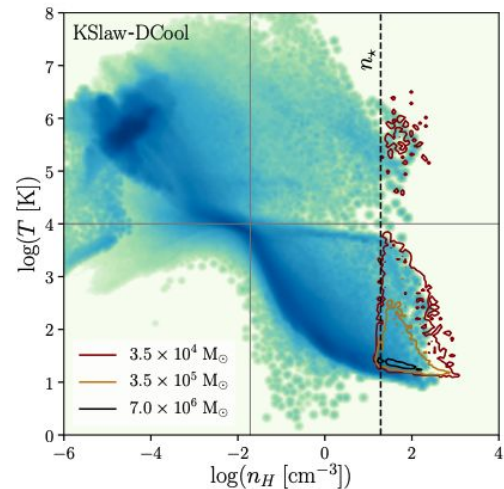
# Summary

Baryons can solve many of the current tensions but their modeling is not under control.

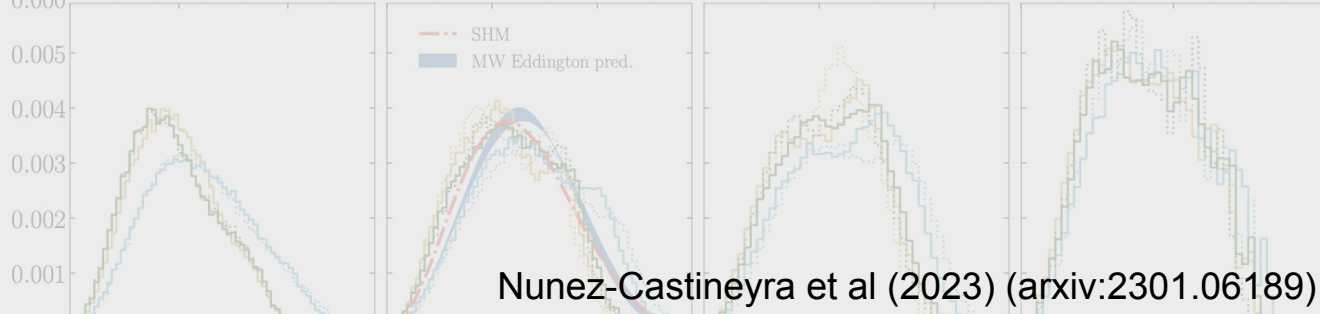
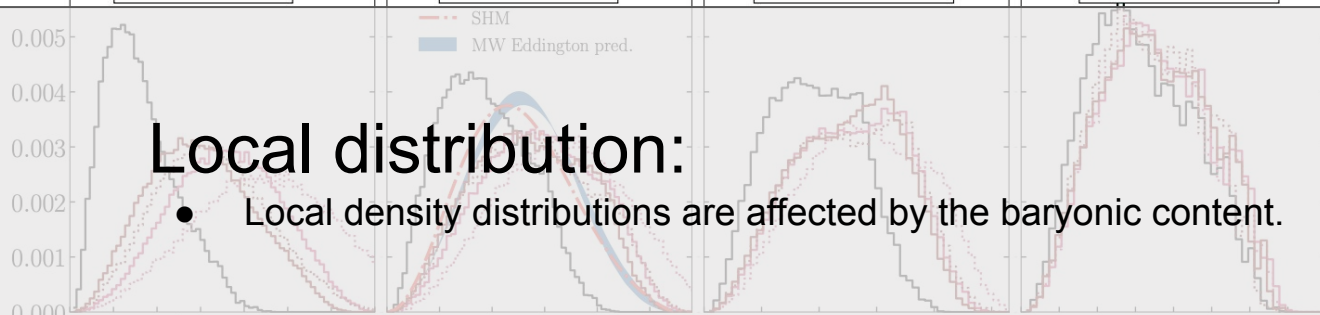
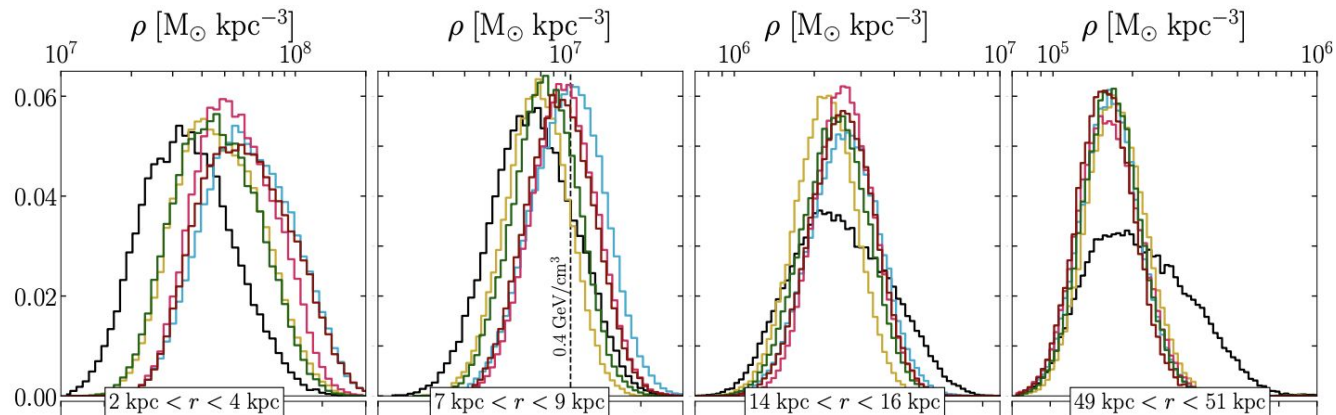
We see effect in the subhalo resilience related to the models in baryonic physics

The uncertainties related to the modeling of baryons are important

We need to be careful

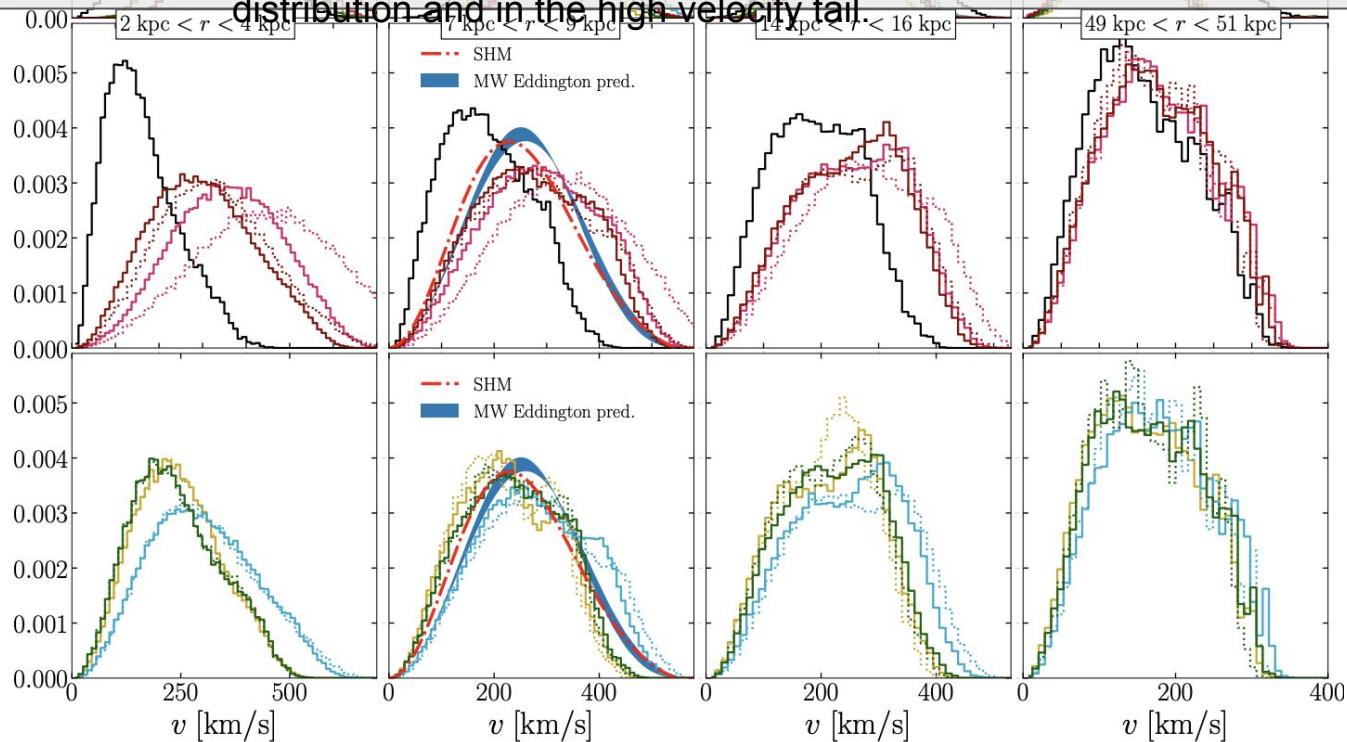


Thank you

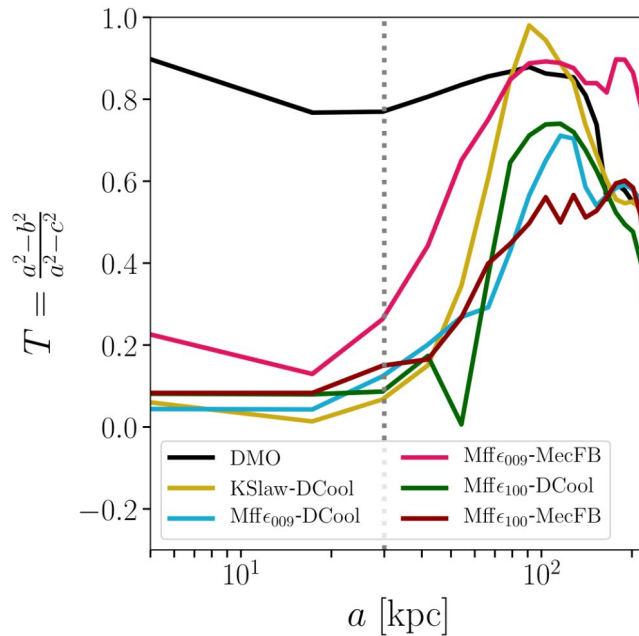
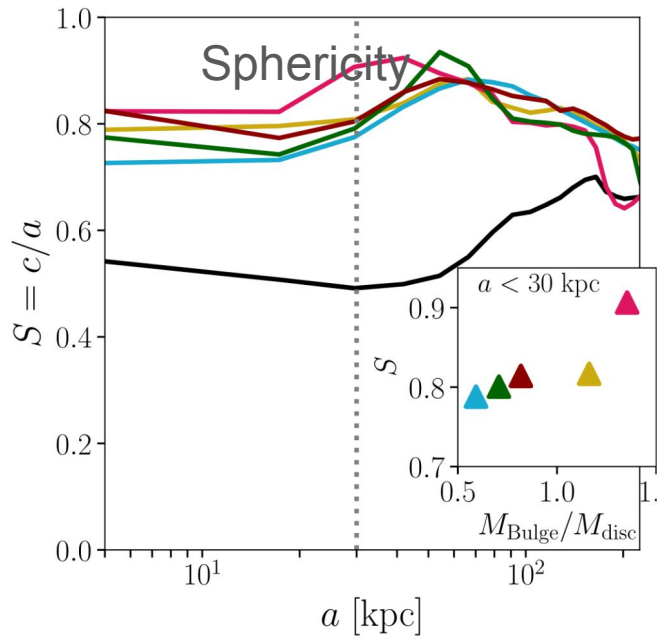


# Local distribution:

- Local density distributions are affected by the baryonic content.
- Local velocity distributions are affected more drastically. And don't fully agree with predictions in the mean peak of the distribution and in the high velocity tail.



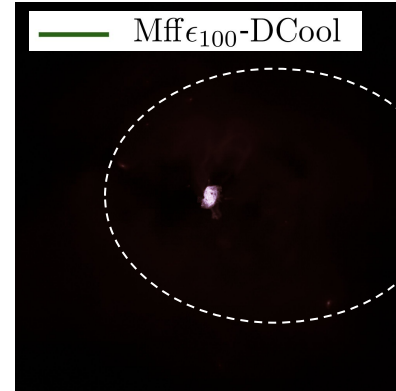
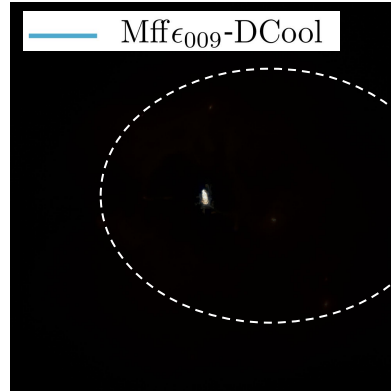
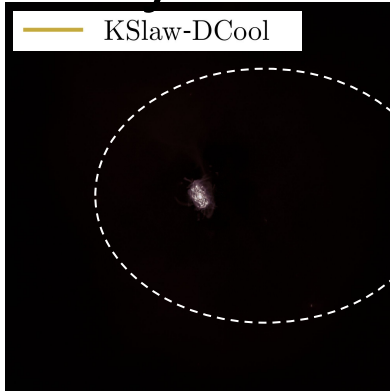
# Shape of the DM halo



Triaxiality

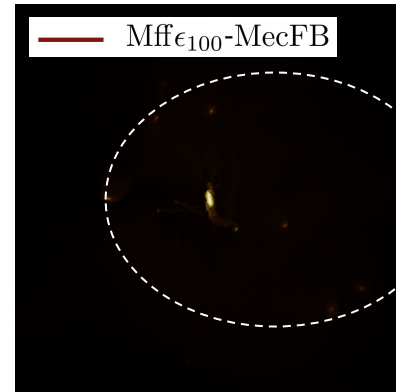
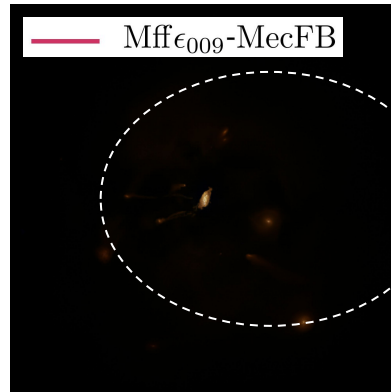
The presence of subhalos increases the triaxial shape of the outer halo.  
Different baryonic physics results in different subhalo populations.

# Baryons

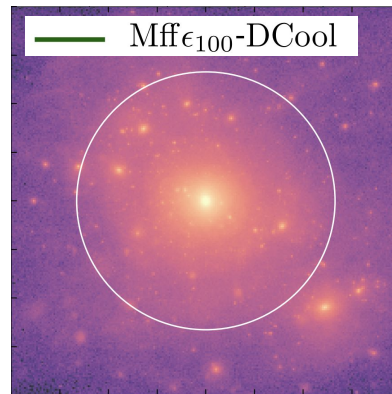
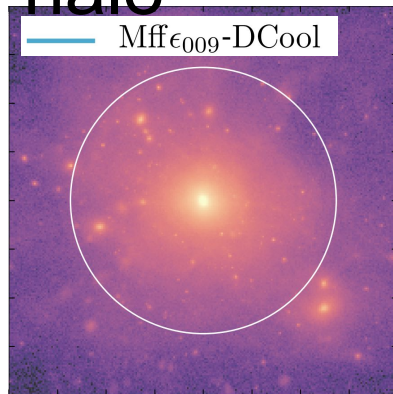
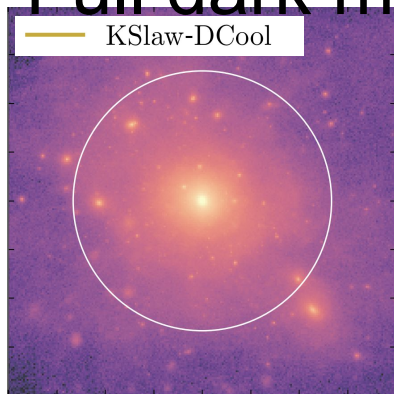


Satellites are impacted by subgrid physics

- Central harassment
- Survival ability

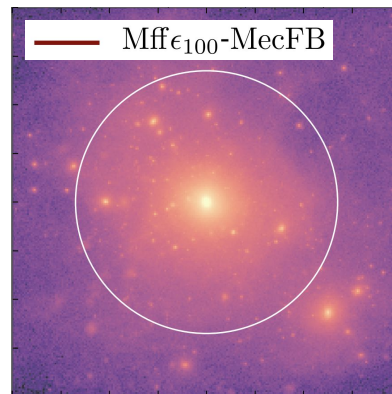
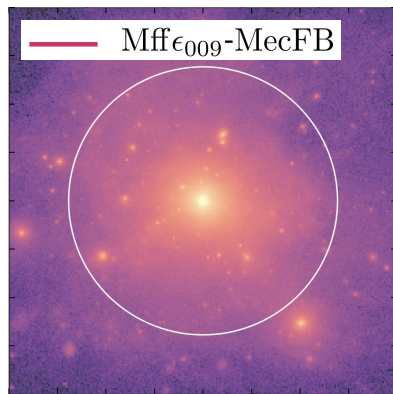


# Full dark matter halo



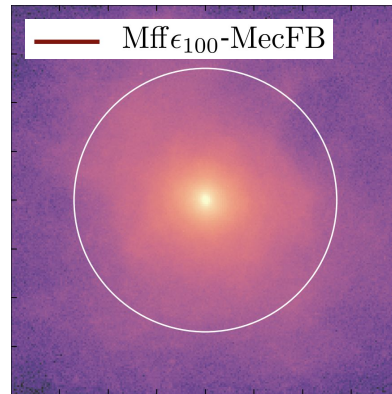
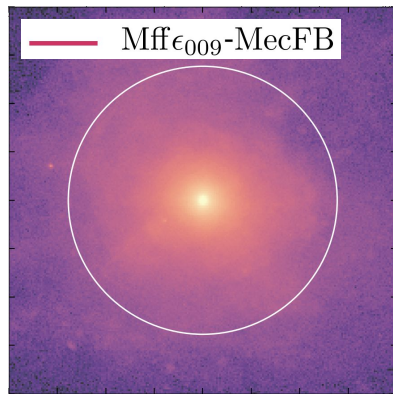
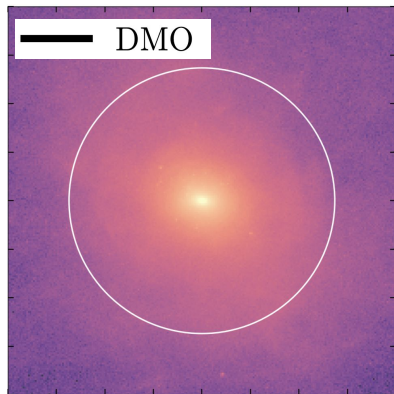
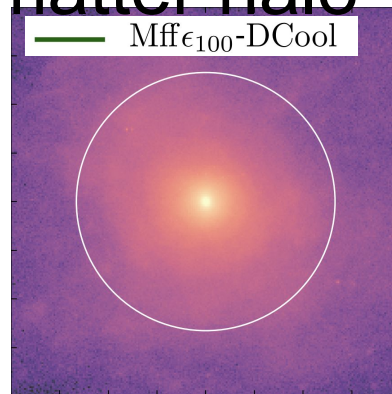
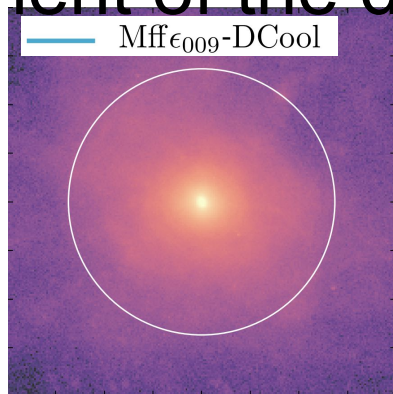
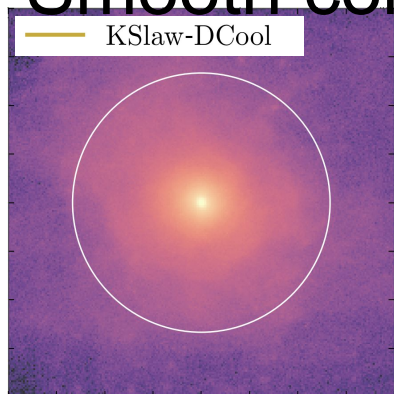
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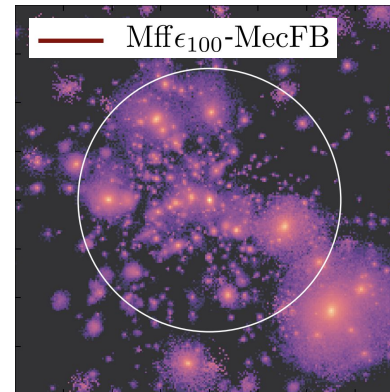
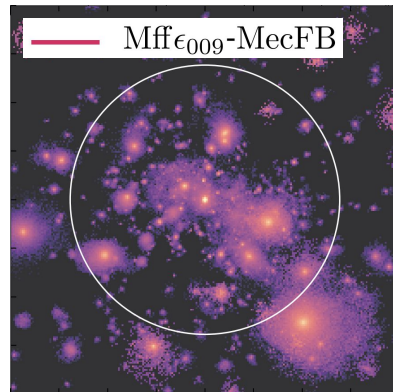
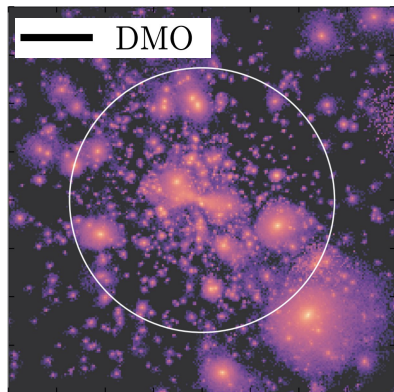
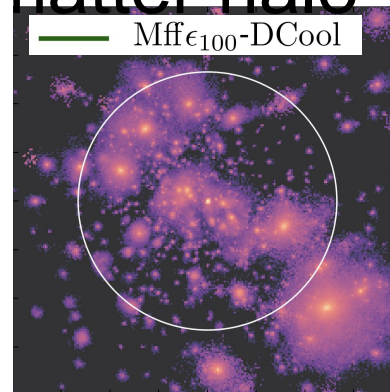
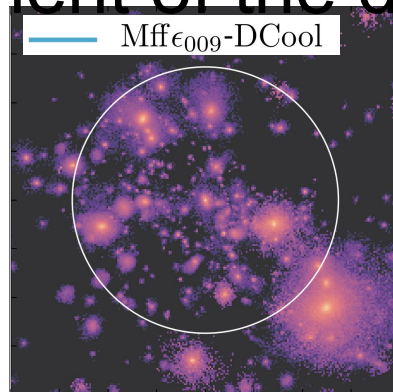
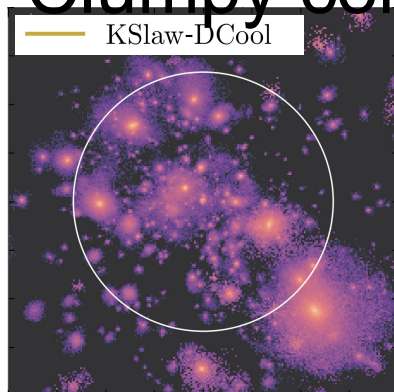


# Smooth component of the dark matter halo

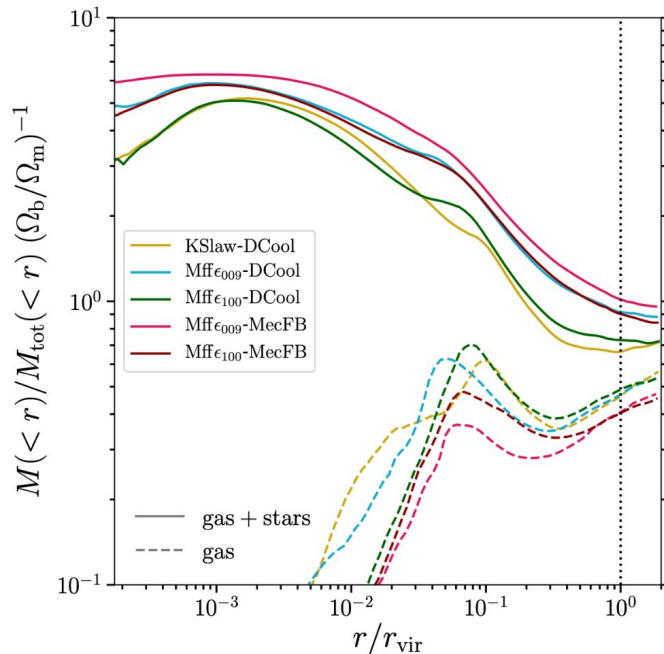
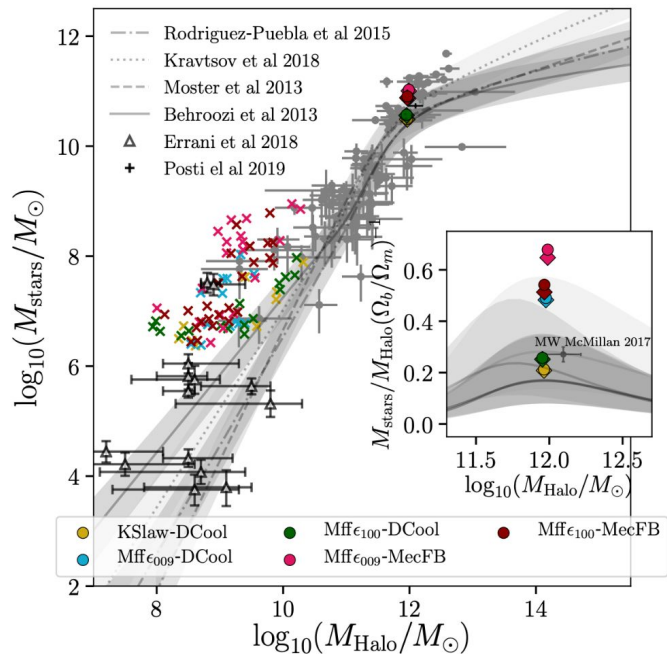




# Clumpy component of the dark matter halo



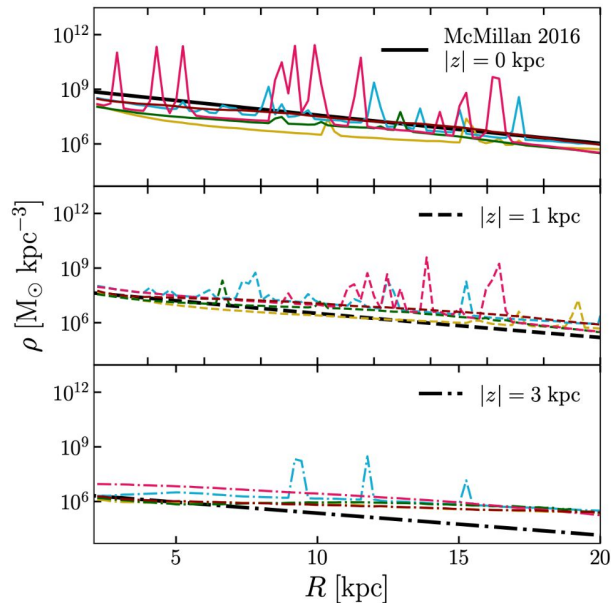
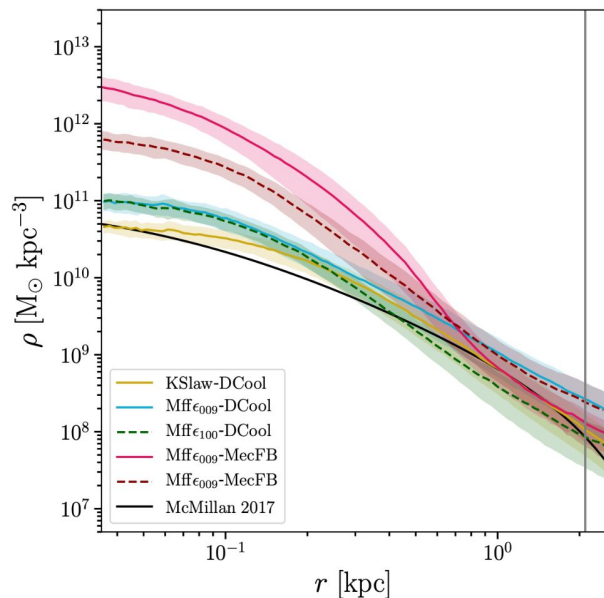
# Dark matter content



The Mochima suite is in good agreement with SHMR and the cosmological matter content

# The Mochima simulations

How milkv way like is a milkv-wav-like?



From comparisons with the stellar density profiles of the **MW** we know that these simulations have massive spherical central bulges, and slightly thicker stellar disc far from the center.

Nunez-Castineyra et al (2020) (arxiv:2004.06008)