LST-1 analysis Astrovibe workshop – july 2024

Cyann Plard & Sami Caroff





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- Large range of energy
- Cosmological distance

$$\lambda_{n=1} = \frac{\Delta t_1}{\Delta E_1 \kappa_1(z)} = \pm \frac{1}{H_0 E_{QG,1}}$$

- Highly variable and active source
 - → blazars, GRBs, pulsars

 E_i

 E_i



All **blazar** data of the LST-1 prototype of the Cherenkov telescope array observatory





Several AGNs data of LST-1 from January 2021 to June 2023

	BL Lac	M87	1ES 1959+650	PG 1553+113	Mrk421	Mrk501	TON0599
Redshift	0.069	0.0043	0.047	0.49	0.03002	0.034	0.72
Observation time (hours)	44	9	13	24	72	66	9

237 hours of observations





Several AGNs data of LST-1 from January 2021 to June 2023

Variability test on each significant observation night













Found 1 source showing intra-night variability : **BL Lacertae** with 3 nights (~7h)





Variable lightcurves of BL Lac









Applied on Crab \rightarrow no intra-night variability













Gammaness

score of how likely an event is expected to be a gamma rather than background

energy

direction

type of particle (gamma, hadron, ...)







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Search for a variability pattern and extract sample properties (energetic and temporal distributions)

• Find a pattern (model) to describe the lightcurve variability : selected if p-value > 0.05 (2σ)







Step 4 : variability pattern



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Search for a variability pattern and extract sample properties (energetic and temporal distributions)

- Find a pattern (model) to describe the lightcurve variability : selected if p-value > 0.05 (2σ)
- Check : no significant disagreement between low and high energies (median of counts)







2021-08-08 night



 \blacktriangleright Δt : (200 +/- 88)s





Search for a variability pattern and extract sample properties (energetic and temporal distributions)

- Find a pattern (model) to describe the lightcurve variability : selected if p-value > 0.05 (2σ)
- Check : no significant disagreement between low and high energies (median of counts)
- Check : no significant time-variation of energetic distribution (spectra parameters)









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- Created for the consortium between H.E.S.S., MAGIC, VERITAS, and now LST
- Uses the likelihood method:
 λ_n is a free parameter that minimizes the likelihood function

for one source (or night):
$$\mathcal{L}_{\mathcal{S}}(\lambda_n) = -\sum_{\text{event } \mathbf{i}} \log\left(\frac{dP(E_{R,\mathbf{i}}, t_{\mathbf{i}}; \lambda_n)}{dE_R dt}\right)$$
$$\mathcal{L}_{\text{comb}}(\lambda_n) = \sum_{\text{all sources}} \mathcal{L}_{\mathcal{S}}(\lambda_n)$$









For one night :
$$\mathcal{L}(\lambda_n) = -\sum_{\mathbf{i}} \log \left(\frac{dP(E_{R,\mathbf{i}}, t_{\mathbf{i}}; \lambda_n)}{dE_R dt} \right)$$

with
$$\frac{dP}{dE_R dt} = W_s \frac{\int \mathbf{E}_{\rm ff} \mathbf{A}(E_T,t) \mathbf{M} \mathbf{M}(E_T,E_R) \times \mathbf{F}_s(E_T,t;\lambda_n) dE_T}{N_s'}$$

$$+\sum_{k} W_{b,k} \frac{\int \mathcal{E}_{\mathrm{ff}} \mathcal{A}(E_T, t) \mathcal{M} \mathcal{M}(E_T, E_R) \times \mathcal{F}_{b,k}(E_T) dE_T}{N'_{b,k}}$$





For one night :
$$\mathcal{L}(\lambda_n) = -\sum_i \log \left(\frac{dP(E_{R,i}, t_i; \lambda_n)}{dE_R dt} \right)$$
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$$+ \sum_{\mathbf{k}} W_{\mathbf{b}, \mathbf{k}} \underbrace{\int \mathbf{E}_{\mathrm{ff}} \mathbf{A}(E_T, t) \mathrm{MM}(E_T, E_R) \times \mathbf{F}_{\mathbf{b}, \mathbf{k}}(E_T) dE_T}_{\mathbf{N}'_{\mathbf{b}, \mathbf{k}}}}_{\mathbf{Backgrounds \ \mathbf{k} : \ \mathbf{hadrons \ and \ baseline}}$$





For one night :
$$\mathcal{L}(\lambda_n) = -\sum_i \log \left(\frac{dP(E_{R,i}, t_i; \lambda_n)}{dE_R dt} \right)$$

with
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Instrumental response functions
$$+ \sum_k W_{b,k} \frac{\int \mathbf{E}_{\mathrm{ff}} \mathbf{A}(E_T, t) \mathrm{MM}(E_T, E_R) \times \mathbf{F}_{b,k}(E_T) dE_T}{N'_{b,k}}$$





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$$+ \sum_k W_{b,k} \frac{\int E_{\rm ff} A(E_T, t) MM(E_T, E_R) \times \mathbf{F}_{b,k}(E_T) dE_T}{N'_{b,k}}$$











Sample simulations for calibration

- Perform 1000 dataset simulations
- Calibration : inject lag to verify that LIVelihood reconstructs it well



BL Lac - 3 variable nights combined













For one night :
$$\mathcal{L}(\lambda_n) = -\sum_i \log \left(\frac{dP(E_{R,i}, t_i; \lambda_n)}{dE_R dt} \right)$$

with
$$\frac{dP}{dE_R dt} = W_s \frac{\int E_{\rm ff} A(E_T, t) MM(E_T, E_R) \times F_S(E_T, t; \lambda_n) dE_T}{N'_s}$$

$$+W_b \frac{\int \mathcal{E}_{\rm ff} \mathcal{A}(E_T, t) \mathcal{M} \mathcal{M}(E_T, E_R) \times \mathcal{F}_b(E_T) dE_T}{N'_b}$$

$$+W_h \frac{dN_{off}}{dE_R} \times \frac{1}{T} \times \frac{1}{N'_h}$$











Application on real data

Time delay : $\lambda_1 = (3768 + 1475 + 3433 - 1466 - 3414)$)s.TeV⁻¹







Comparison with other limits



Bolmont et al., 2022





- Performed a systematic analysis of several AGN from LST data until June 2023, searching for variability in the lightcurve of a given night
- Found 3 nights showing intra-night variability (BL Lac)
- Combined these 3 nights to extract a limit on E_{QG} at the order n=1 using real data

Ongoing work :

- Working on extended and most recent dataset
- Analysis with energy-dependent gammaness (and θ^2) and optimize the cuts also using the Crab
- Implementation of all systematics (template, spectral index, background, energy scale, distance)
- Order n=2 and other $\kappa(z)$ models (used here Jacob & Piran 2008)
- Combination of LST data with the consortium data, in particular wih H.E.S.S. and VERITAS data in the following months





Spectra





Time-independency of the energetic distribution







crab is a stable source \leftrightarrow expecting 0 night with intra-night variability

















