

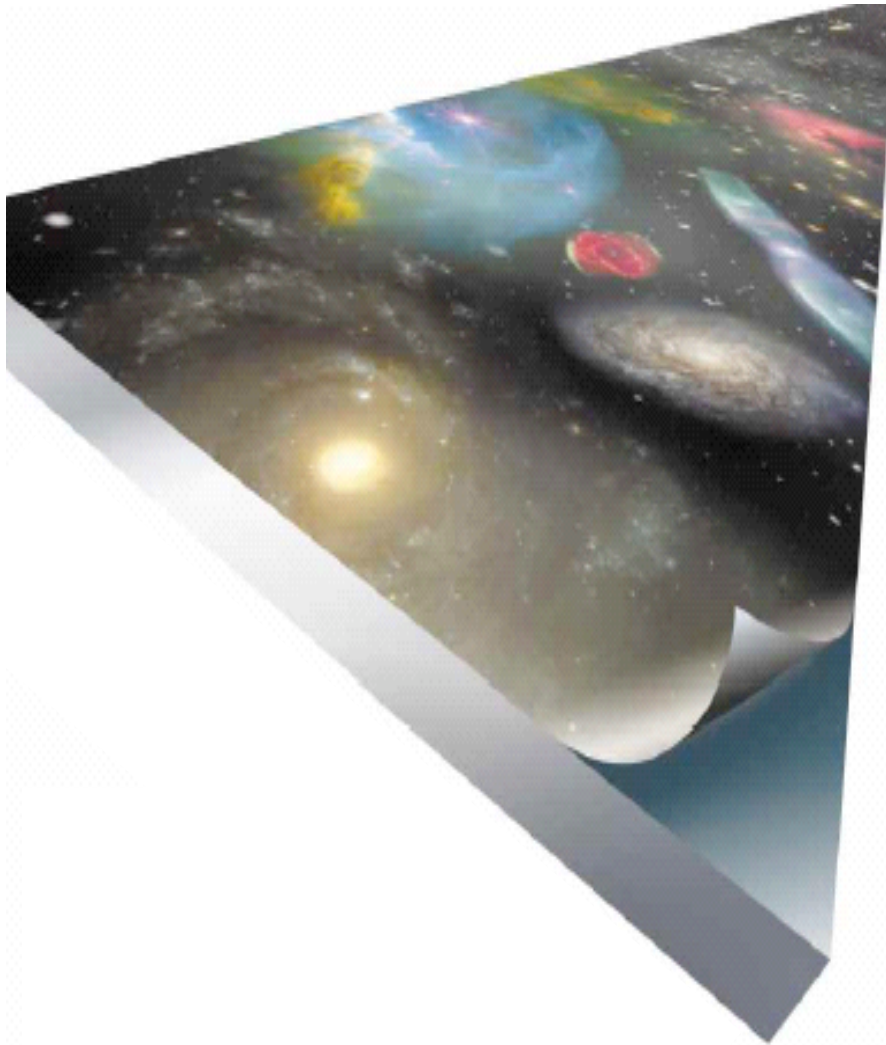
A background image showing a particle collision, likely from the LHC, with a central bright spot and colorful, streaky patterns radiating outwards, suggesting energy and particle tracks.

A la recherche de dimensions supplémentaires au LHC

C. Collard (LLR, Ecole Polytechnique)



Figure from Scientific American



L'univers dans lequel nous vivons pourrait être une membrane à l'intérieur d'un espace-temps possédant un plus grand nombre de dimensions.

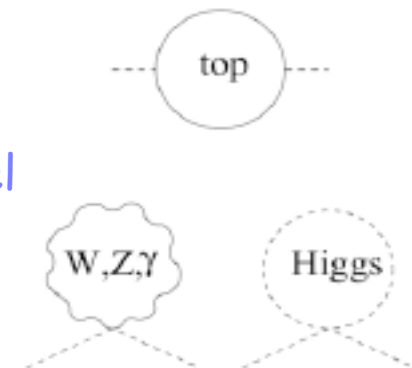
Quelle part de fiction y a-t-il dans la Science Fiction ?
D'où proviennent les idées de dimensions supplémentaires et d'univers parallèles ?

Plan du Séminaire

- Introduction :
 - Motivation des dimensions supplémentaires
 - Comment les détecter?
 - Le rôle du LHC
- Les 3 modèles de dimensions supplémentaires :
Introduction & Recherche au LHC
 - Les grandes dimensions supplémentaires (ADD)
 - Les dimensions supplémentaires de la taille TeV^{-1}
 - Les dimensions supplémentaires voilées (RS)
- Conclusions

Introduction

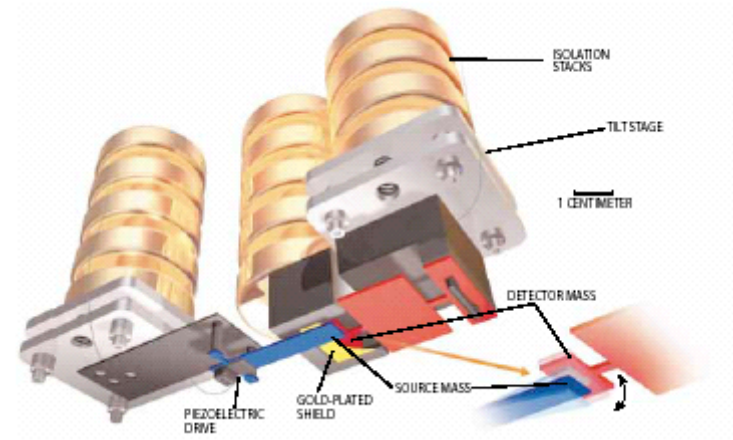
- Many extensions of the Standard Model are motivated by the Hierarchy problem :
 - Electroweak Scale $\sim 100 \text{ GeV}$
 - $M_W = 80 \text{ GeV}, M_Z = 91 \text{ GeV}$
 - Planck Scale $\sim 10^{19} \text{ GeV}$
 - Energy where the relativistic and quantum effects are important for gravity
 - The Higgs mass diverges in the Standard Model because of radiative corrections.
 - $M_H^2 = [M_H^0]^2 + O(\Lambda^2) + \dots$
with Λ : the scale of validity for the Standard Model
Fine tuning which can provide cancellations ?



Introduction

- The Standard Model is an effective theory. The new theory takes over at a scale Λ comparable to the Higgs boson mass, i.e. $\Lambda \sim 1 \text{ TeV}$.
- Possible solution?
 - **Supersymmetry** : for each SM particle a Susy partner is introduced. SM and Susy particle contributions to Higgs mass have opposite sign.
 - **Extra Dimensions** : strong gravity at TeV scale.
ED already introduced in string theory (theory for describing the gravity quantically with 10 or 11 dimensions, in which extra dimensions are compactified).
 - ...

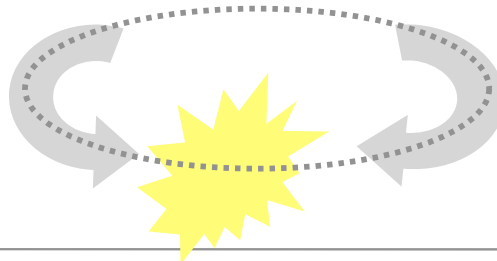
How to detect these extra dimensions?



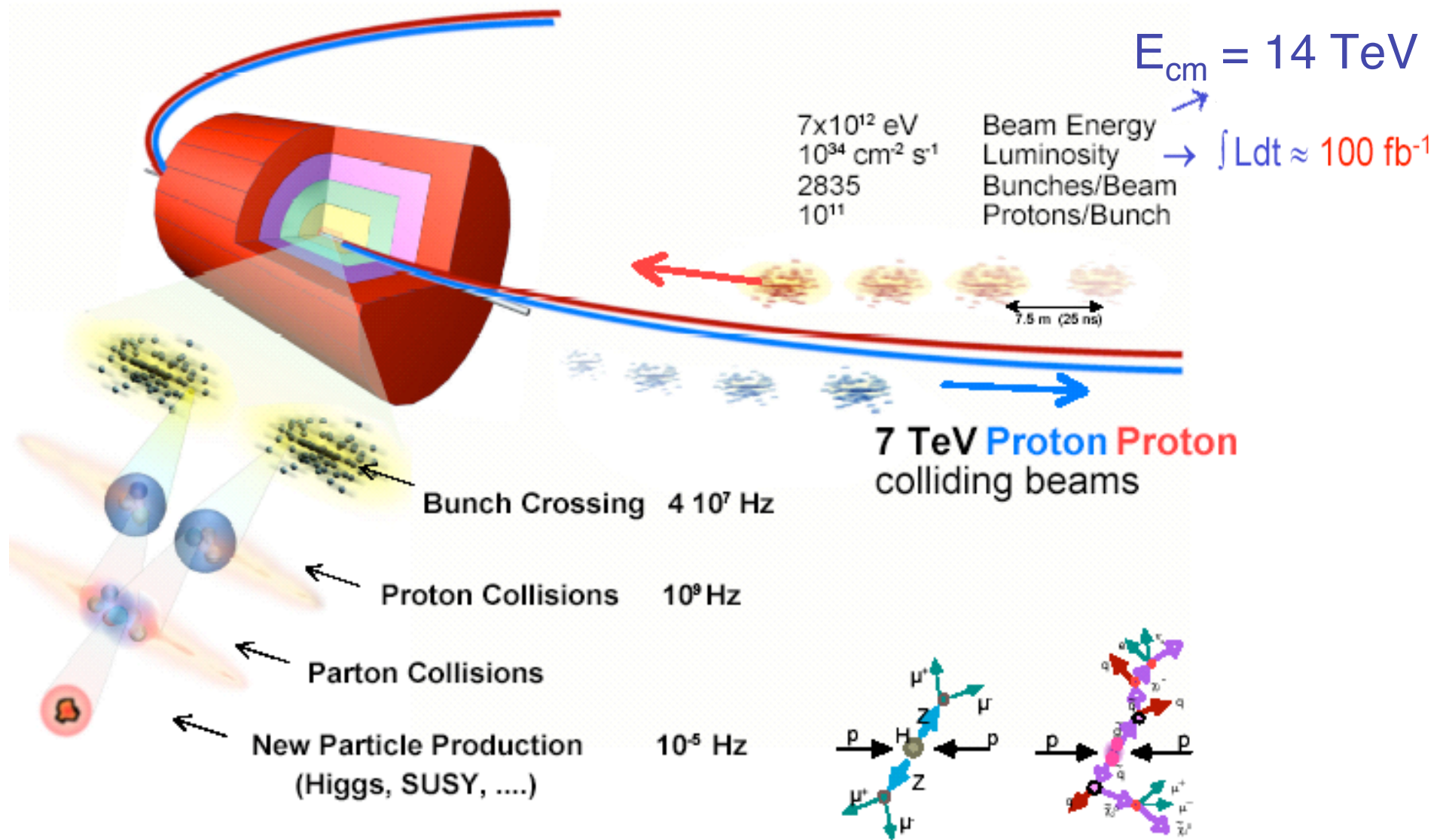
Astrophysics : Study of the sky activity

Gravity : Test of the Newton's Law

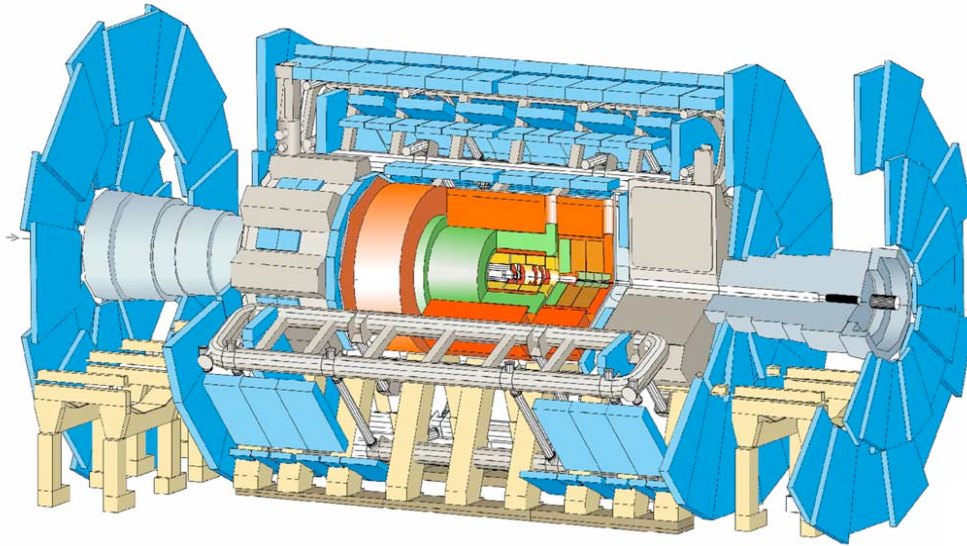
Particle Physics : Search for their effects on reactions produced in colliders



The LHC

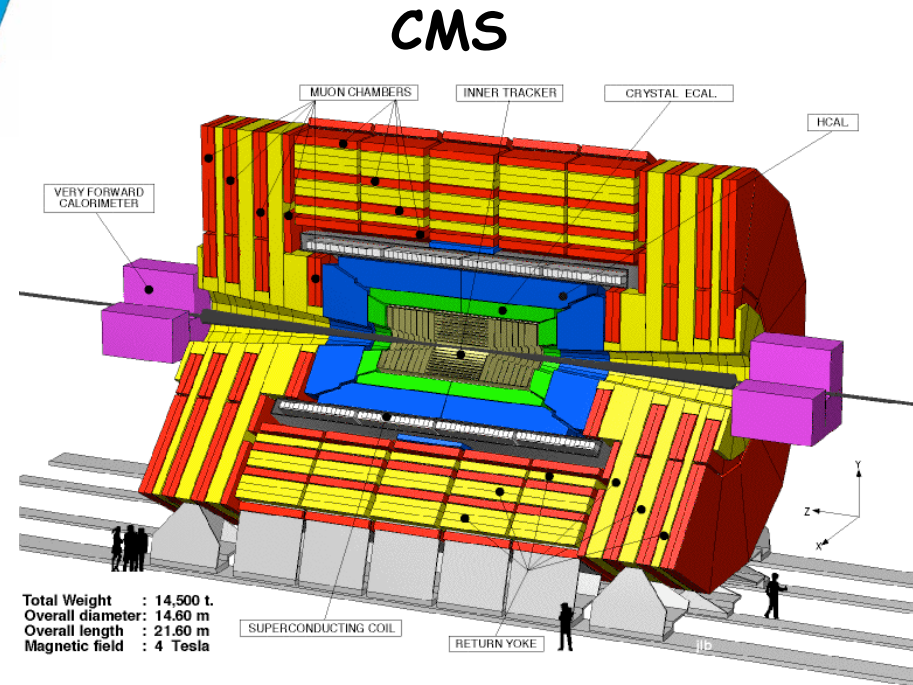


The 2 Experiments of the LHC



ATLAS

The total mass of CMS is approximately 12500 tonnes - double that of ATLAS (even though ATLAS is $\sim 8x$ the volume of CMS)



Models with Extra Dimensions

1. The cisplanckian physics ($\sqrt{s} \ll$ gravity scale)

Large extra dimensions

Kaluza-Klein Excitations of gravitons
by direct production or virtual effects

The TeV^{-1} size extra dimensions

Kaluza-Klein Excitations
of gauge bosons

The warped extra dimensions

Kaluza-Klein Excitations of gravitons
(The radion)

Size of the extra dimensions

2. (The transplanckian physics ($\sqrt{s} \gg$ gravity scale)

- Black holes & string balls

)

Large Extra Dimensions



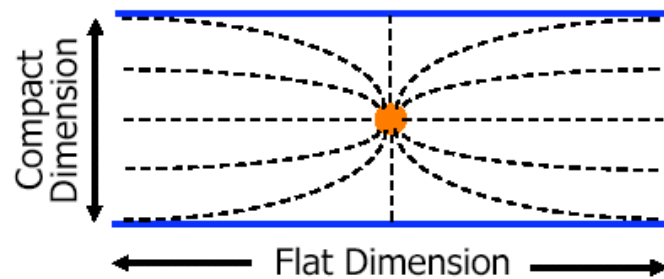
Model of Arkani-Hamed, Dvali, Dimopoulos: Standard Model particles are localized on a 3-D brane. Gravity propagates inside the bulk (a more dimensional space)

Figure from Scientific American

Large Extra Dimensions

- Model of Arkani-Hamed, Dvali, Dimopoulos:
 - World at $4 + n$ dimensions. Only the gravitons may propagate in extra dimensions. Gravity appears to be diluted.

$$V(r) = \frac{1}{M_{Pl}^2} \frac{m_1 m_2}{r} \rightarrow \frac{1}{(M_{Pl}^{[3+n]})^{n+2}} \frac{m_1 m_2}{r^{n+1}}$$



$$V(r) \propto \frac{1}{(M_{Pl}^{[3+n]})^{n+2}} \frac{m_1 m_2}{R^n r} \text{ for } r \gg R$$

The Newton's Law is verified up to distances ~ 0.2 mm. Extra dimensions must be smaller than 0.2 mm and compactified.

The real Planck mass $M_D = M_{Pl}^{[n+4]}$:

$$(M_D)^{(2+n)} = (M_{Pl}^{[4]})^2 R^n$$

If $M_D \sim 1$ TeV (= no more hierarchy problem):

$$R = \frac{1}{2\sqrt{\pi} M_D} \left(\frac{M_{Pl}}{M_D} \right)^{2/n} \propto \begin{cases} 8 \times 10^{12} m, & n = 1 \\ 0.7 mm, & n = 2 \\ 3 nm, & n = 3 \\ 6 \times 10^{-12} m, & n = 4 \end{cases}$$

Large Extra Dimensions

- Particle in compact extra dimension:
 - Wavelength set by periodic boundary conditions
 - States will be evenly spaced in mass $\rightarrow$ tower of Kaluza-Klein (KK) modes
 - Spacing depends on the scale of ED

A tower of massive KK excitations of gravitons:

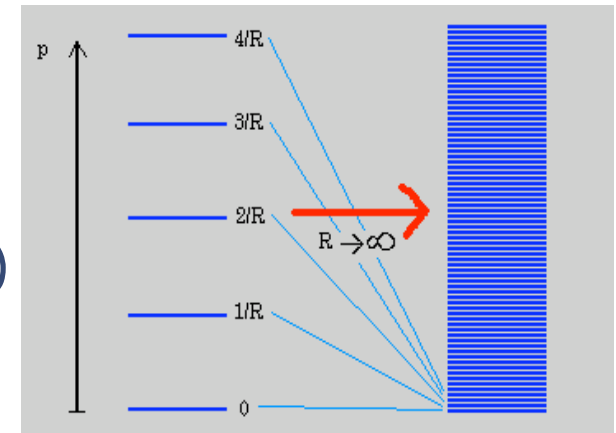
$$M_n^2 = M_0^2 + n^2/R^2 \quad \text{for the } n^{\text{th}} \text{ state.}$$

They couple to Standard Model particles:

$$L = 1/M_{\text{PL}} G_{\mu\nu}^{(n)} T^{\mu\nu}$$

The large number of states (degenerated in mass) compensates the low coupling ($1/M_{\text{PL}}$):

$$\sigma \sim (\sqrt{s}/M_D^2)^n$$



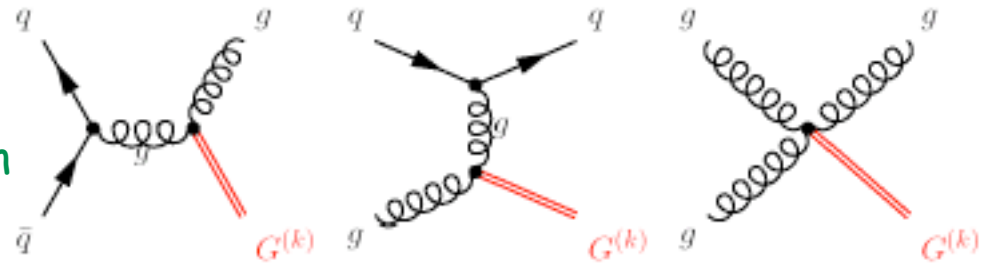
Constraints on this model

G.F. Giudice and J. March-Russel, PDG review 2002

Constraint	n=2		n=3	
	max R_D (mm)	min M_D (TeV)	max R_D (mm)	min M_D (TeV)
Gravity law	0.2	0.6		
Cooling of supernovae by emission of gravitons	7×10^{-4}	10	9×10^{-7}	0.8
Diffused background of cosmic rays ($G_{KK} \rightarrow \gamma\gamma$)	9×10^{-5}	25	2×10^{-7}	1.9
Heating of neutron stars (trapped G_{KK} which decay)	8×10^{-6}	90	3.5×10^{-8}	5
LEP : γG , ZG , virtual exchanges		~ 1 TeV		
Tevatron		~ 1 TeV		

Search at LHC: Large Extra Dimensions

- Direct Search
 - Monojet with a large missing transverse energy (stable non detected G_{KK})

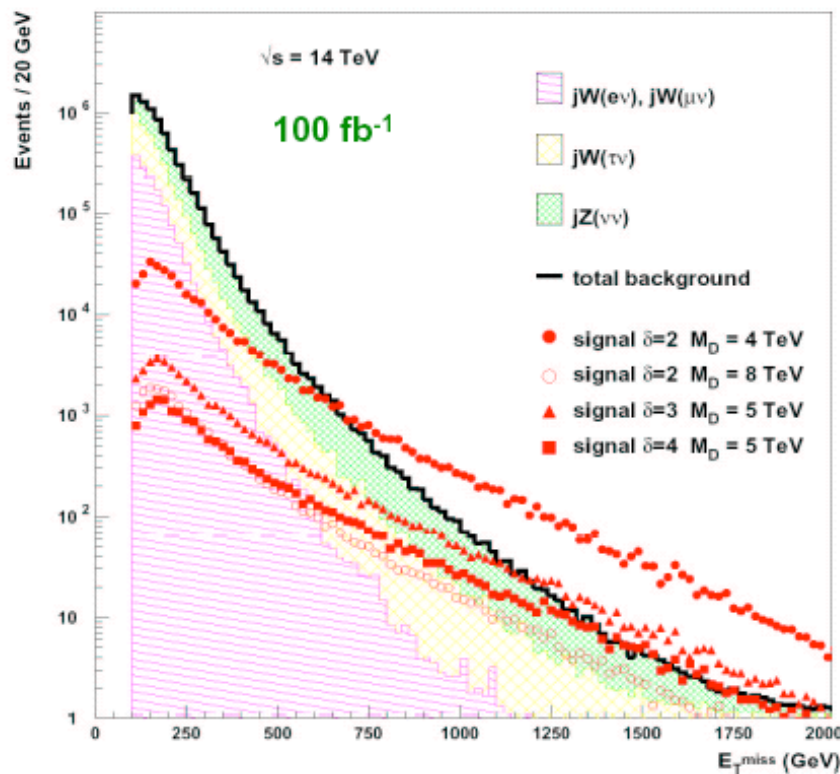


ATLAS

δ	M_D^{max} (TeV) LL, 30 fb $^{-1}$	M_D^{max} (TeV) HL, 100 fb $^{-1}$	M_D^{min} (TeV)
2	7.7	9.1	~ 4
3	6.2	7.0	~ 4.5
4	5.2	6.0	~ 5

Limit on M_D^{min} :

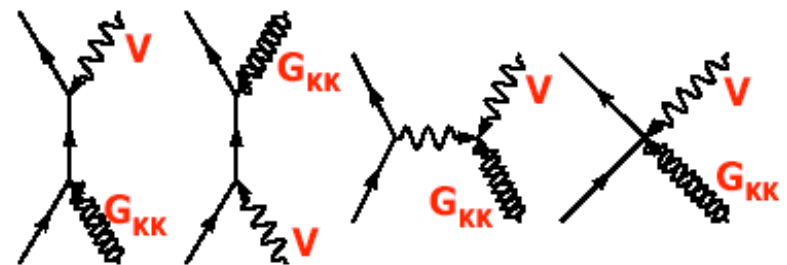
Validity of the effective theory: $\sqrt{s} < M_D$.
 Above this limit: sensitivity to new physics.
 → Truncation of σ when $\sqrt{s} > M_D$.



Search at LHC: Large Extra Dimensions

- o Isolated Photon with a large missing transverse energy (non detected G_{KK})

Single VB at hadron or e^+e^- colliders



Channel which will allow to confirm the discovery in the monojet channel

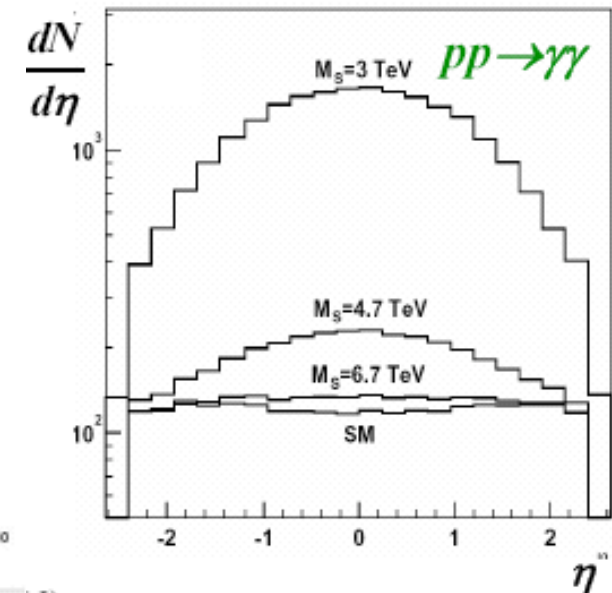
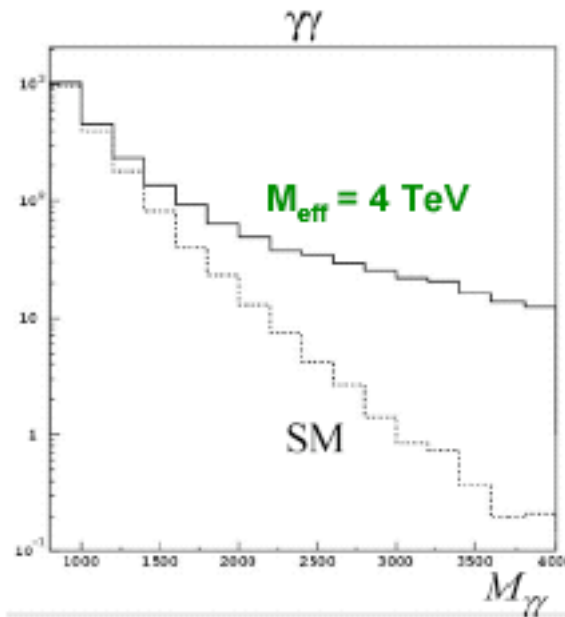
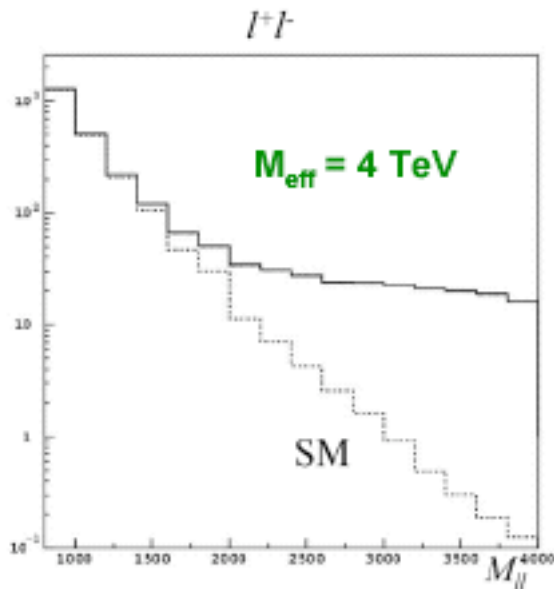
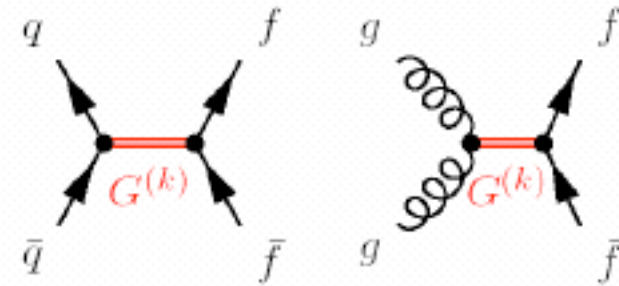
ATLAS

δ	M_D^{max} (TeV) HL, 100 fb ⁻¹	M_D^{min} (TeV)
2	4	~ 3.5

Search at LHC: Large Extra Dimensions

- Indirect Search

- G_{KK} is a propagator. Search for deviations in σ or in asymmetries compared to SM.
- M_S is a cut-off (UV divergence).



ATLAS @ 100 fb⁻¹: $M_S < 5.1$ TeV for the ll channel and $M_S < 6.6$ TeV for $\gamma\gamma$

The TeV^{-1} size Extra Dimensions

Variation of the previous model : In addition to the large extra dim, smaller ones are introduced (of TeV^{-1} size) in which gauge bosons can propagate while fermions are confined on the 4dim branes.

The KK modes of the gauge bosons $\gamma^{(n)}$, $Z^{(n)}$, $W^{(n)}$, $g^{(n)}$ are massive

$$M_n^2 = (n M_c)^2 + M_0^2$$

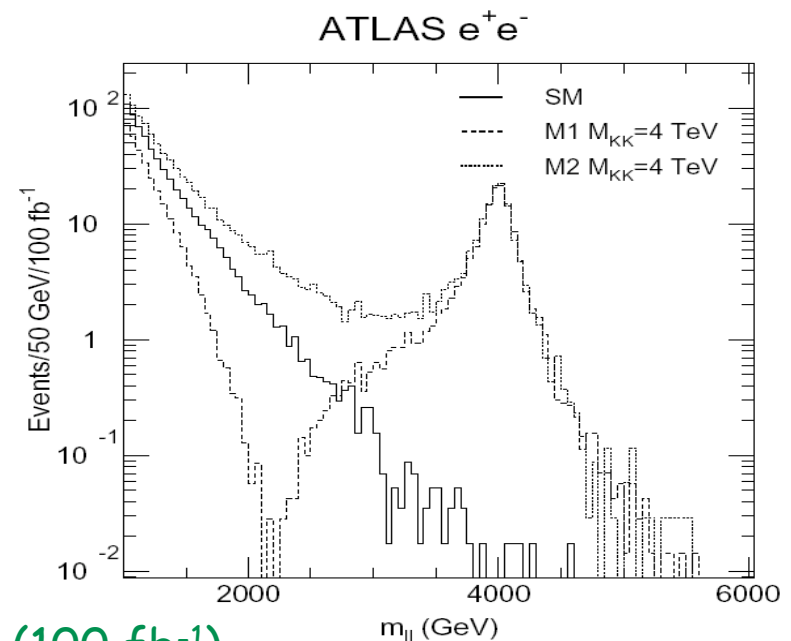
and their coupling goes like SM ($\times \sqrt{2}$)

Constraints for $\gamma^{(1)}$ and $Z^{(1)}$:

- LEP2+Tevatron+Hera: $M_c > 6.8 \text{ TeV}$

At LHC (mostly from ATLAS):

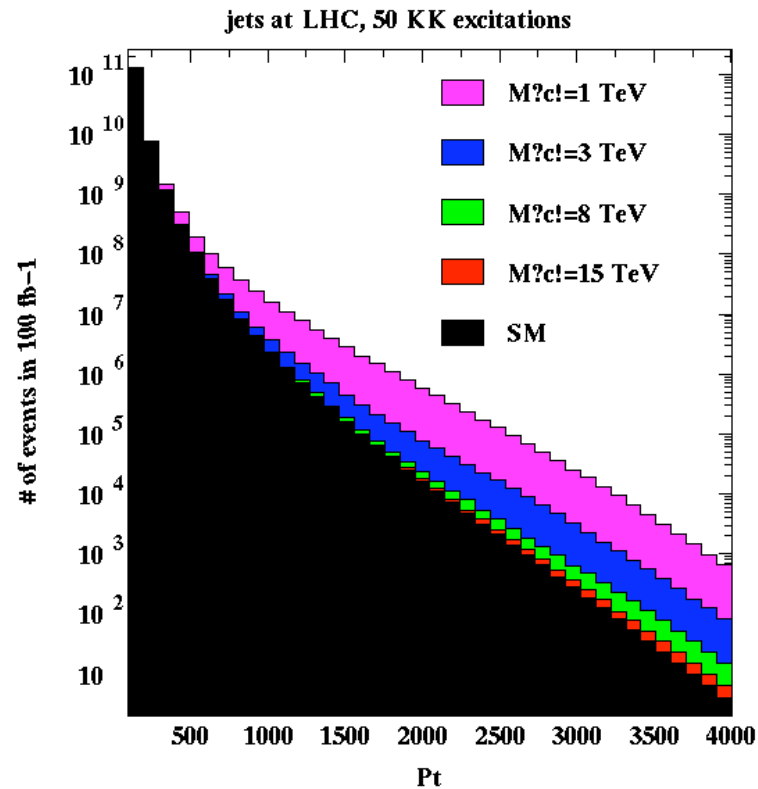
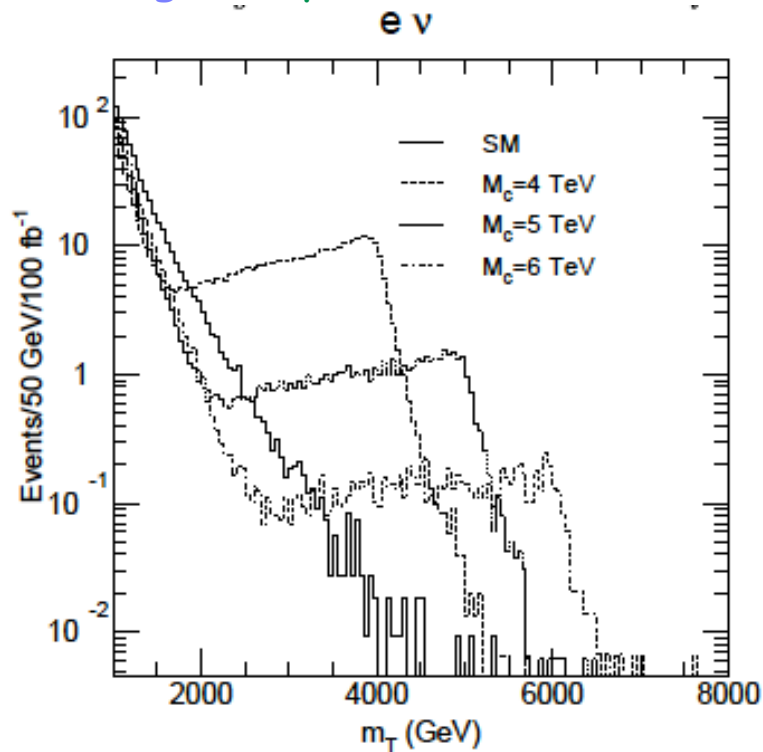
- Sensitivity in the peak: $M_c^{\text{max}} = 5.8 \text{ TeV}$ (100 fb^{-1})
- From interference study: $M_c^{\text{max}} = 9.5 \text{ TeV}$ (e) for 100 fb^{-1} and 13.5 TeV for 300 fb^{-1} ($e+\mu$)



The TeV^{-1} size Extra Dimensions

Sensitivity from ATLAS with 100 fb^{-1} :

- for $W^{(1)}$: -Sensitivity in the peak: $M_c^{\text{max}} = 6 \text{ TeV}$
-From interference study: $M_c^{\text{max}} = 9 \text{ TeV}$
- for $g^{(1)}$: up to 15 TeV



The Warped Extra Dimensions

The Randall-Sundrum Model

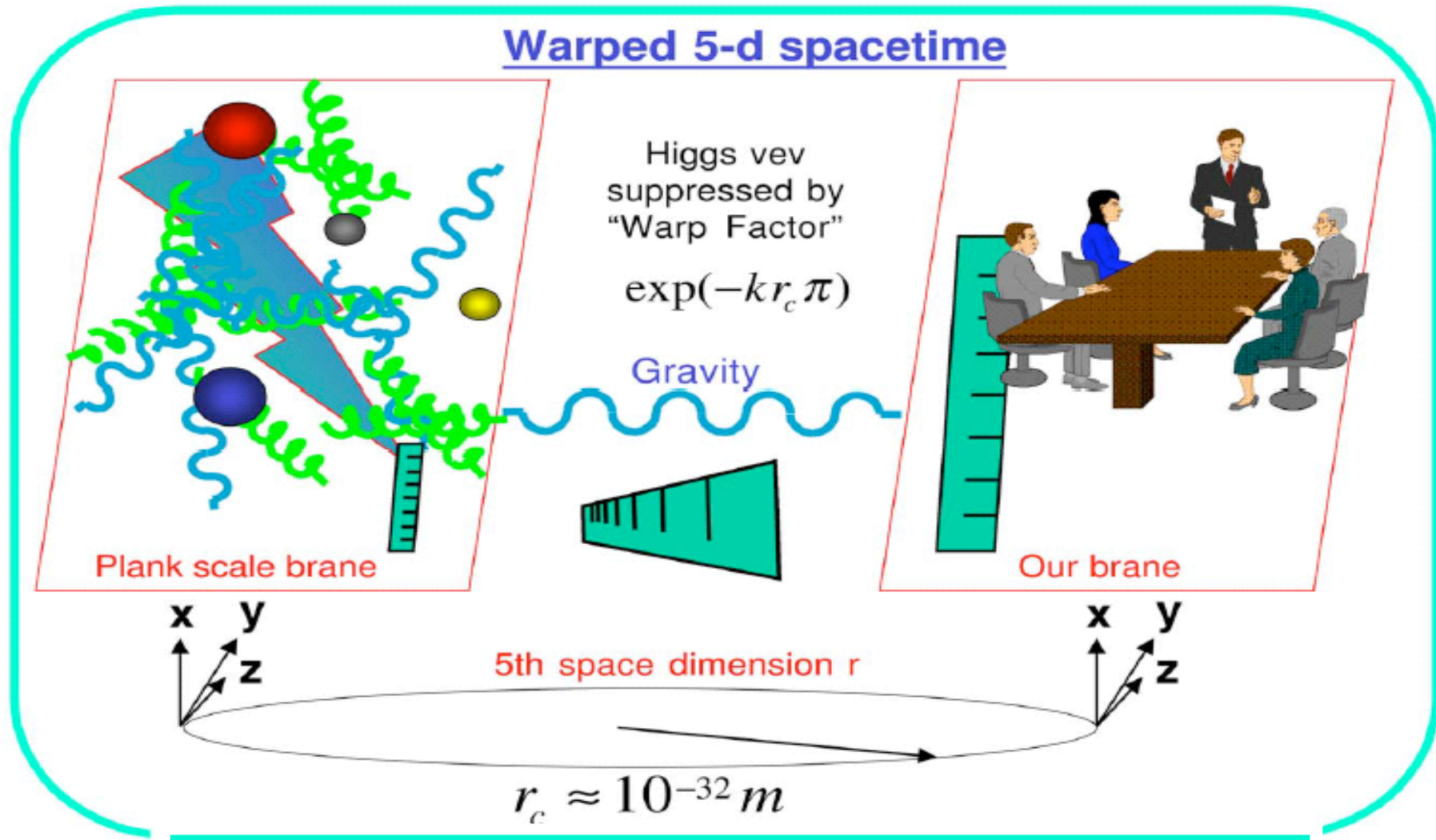
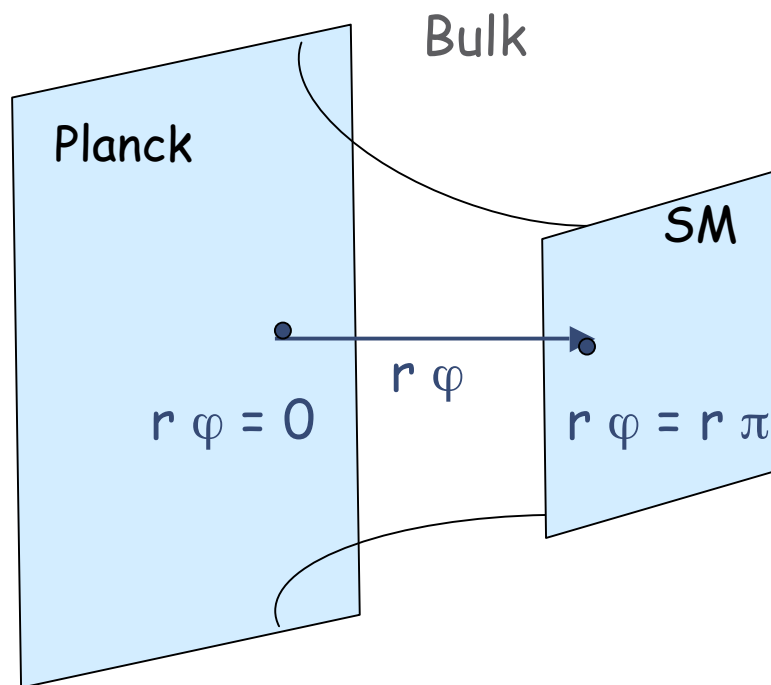


Figure de A. Parker

The model of Randall and Sundrum

The extra dimension allows to explain the hierarchy problem ($M_{EW} \ll M_{PL}$).



o Special geometry :

$$e^{-2kr\varphi} \eta_{\mu\nu} dx^\mu dx^\nu + r^2 d\varphi^2$$

k = curvature of the space and r = compactification radius of the extra dim.

Specificity of this model: the exponential factor ("warp factor")

o Gravity :

$$\Lambda_\pi = M_{PL} e^{-kr\pi} \sim 1\text{TeV}$$

i.e. no hierarchy if $kr \approx 11-12$ which can be stabilised with the introduction of the Radion field

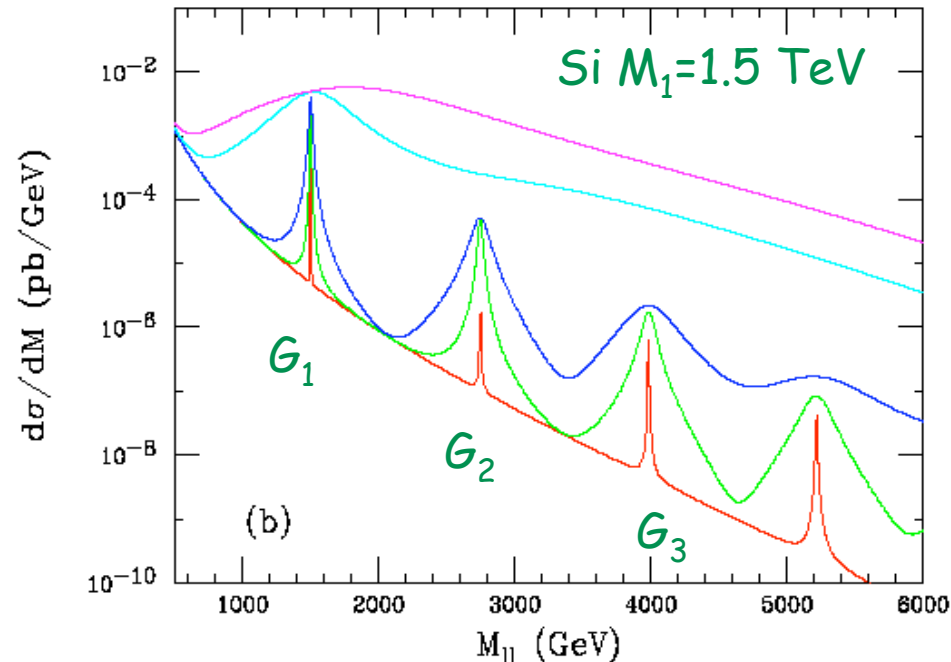
The model of Randall and Sundrum

o Gravitons at 5 Dim $\rightarrow$ KK excitations of gravitons at 4 Dim
(development in Bessel series and not in Fourier series like for the large extra dim.)

$$M_n = k x_n e^{-kr\pi} \quad \text{with } J_1(x_n)=0$$

$$\Gamma_n = \rho M_n x_n^2 c^2$$

H.Davoudiasl, J.Hewett,
T.Rizzo, hep-ph/0006041

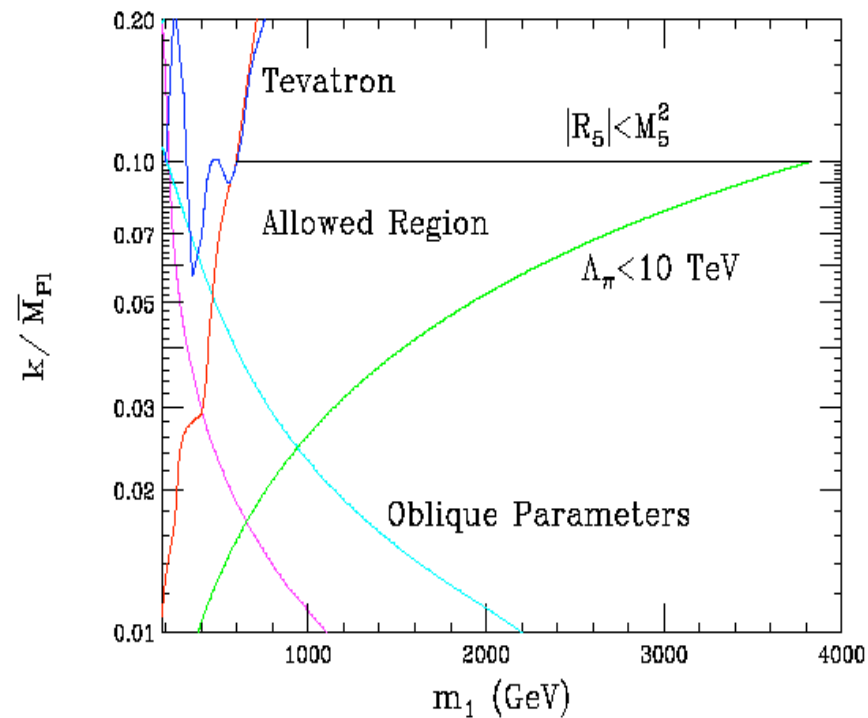


$c=1.$
 $c=0.5$
 $c=0.1$
 $c=0.05$
 $c=0.01$

o 2 free parameters in the model: $M_G=M_1$ and $c=k/M_{PL}$

The model of Randall and Sundrum

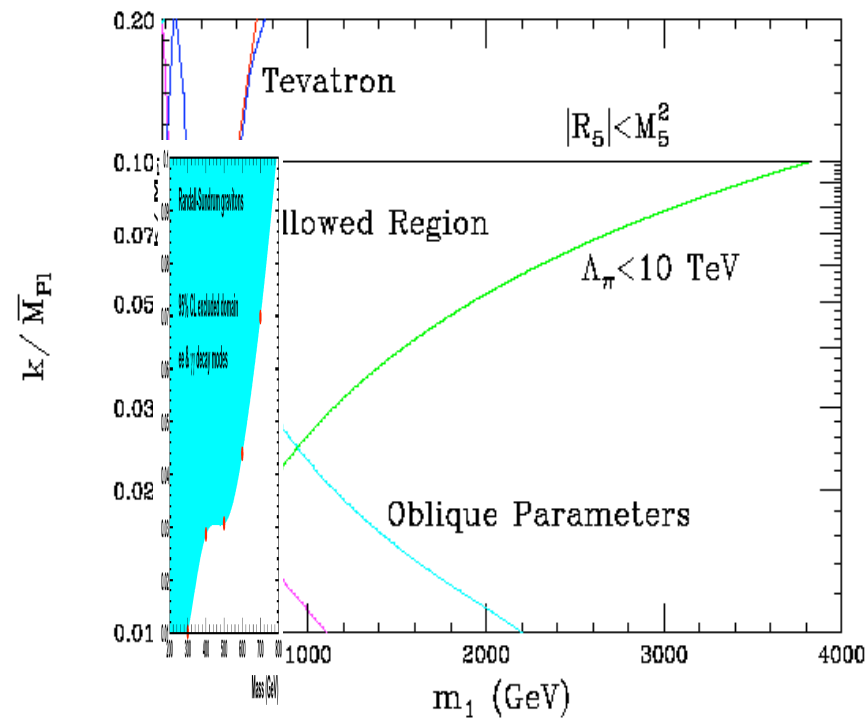
Constraints on the two free parameters of the model: M_G and $c=k/M_{\text{Pl}}$



H.Davoudiasl, J.Hewett,
T.Rizzo, hep-ph/0006041

The model of Randall and Sundrum

Constraints on the two free parameters of the model: M_G and $c=k/M_{PL}$



H.Davoudiasl, J.Hewett,
T.Rizzo, hep-ph/0006041

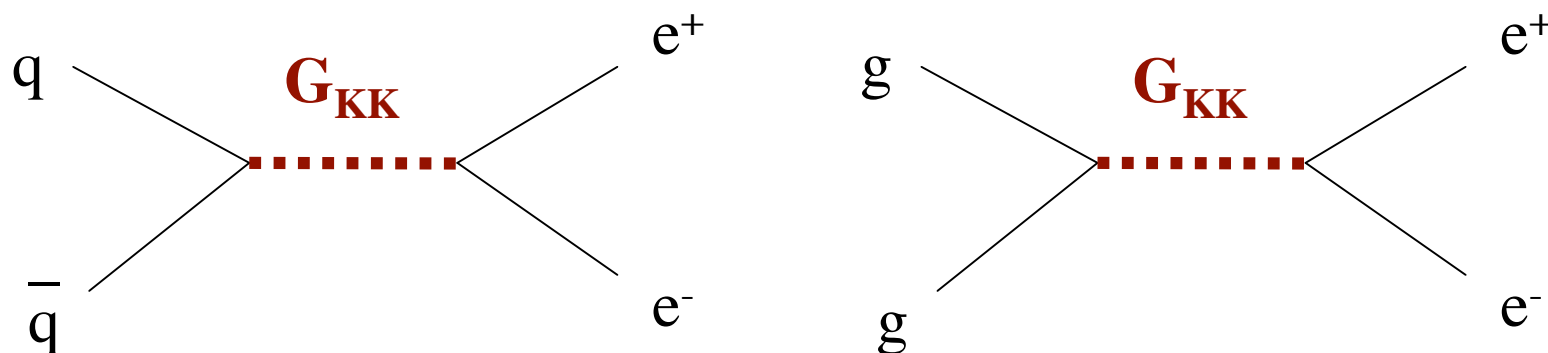
DO Run II Preliminary
95% CL excluded domain
ee & $\gamma\gamma$ modes

Which part of the plane can be access with CMS?

The e^+e^- channel

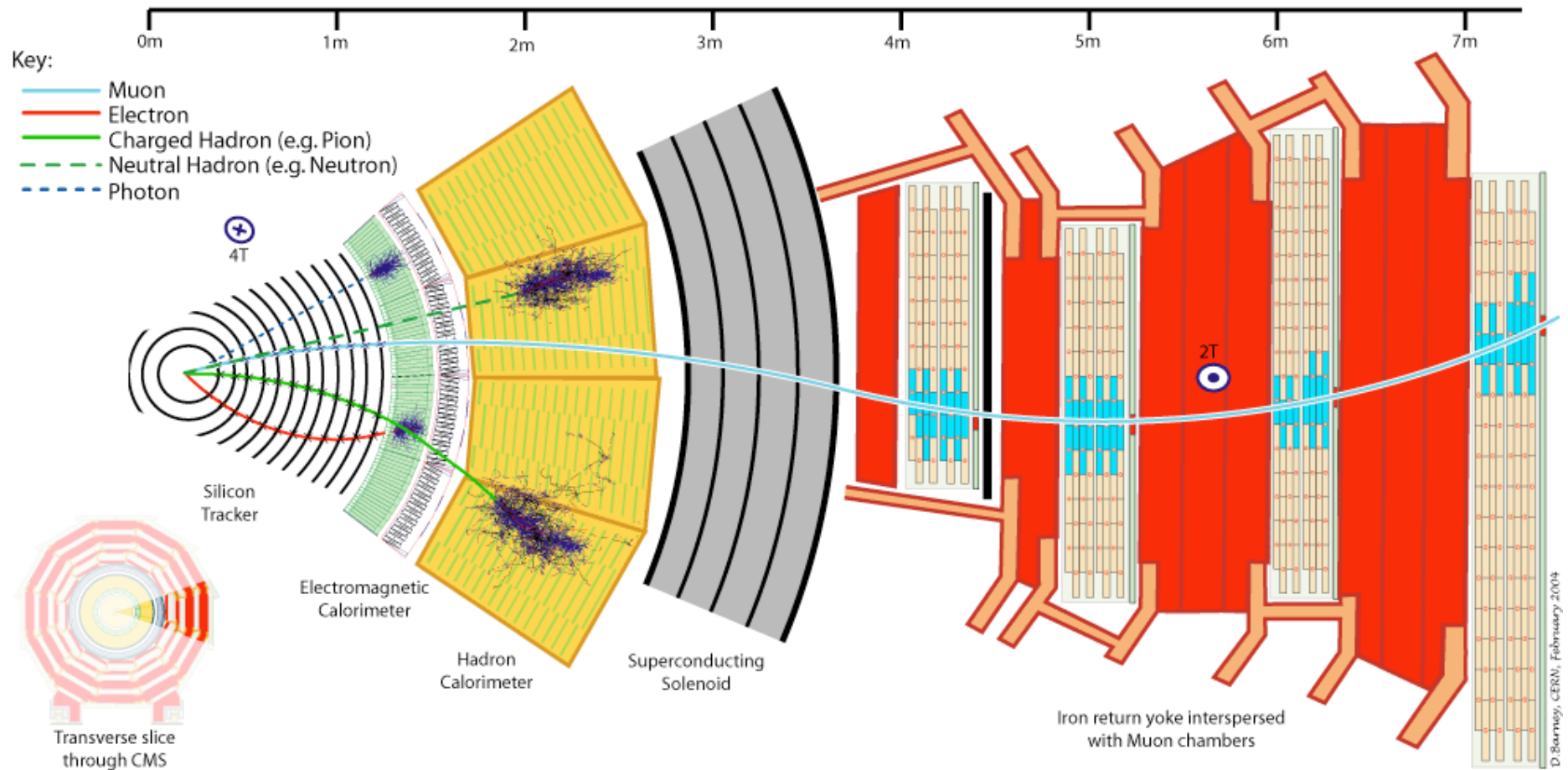
- **Signal:** $pp \rightarrow G \rightarrow e^+e^-$ (K Factor =1)

The e^+e^- decay channel has a low branching ratio (BR=2%) but the clear signal in the electromagnetic calorimeter ECAL allows it to be the **discovery channel for Randall-Sundrum Gravitons**.



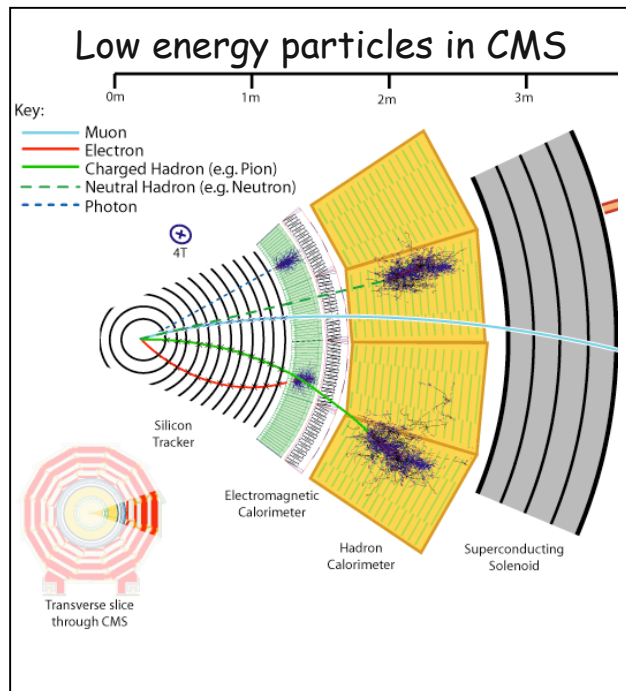
- **Background:** 2 electrons in the final state
 - o Drell-Yan: $pp \rightarrow \gamma/Z \rightarrow e^+ e^-$ (K Factor=1.3)
 - o [Jet faking an electron: Dijet, γ -jet, e-jet which is negligible in comparison to Drell-Yan]

Electron Reconstruction



Full Simulation & Reconstruction Analysis

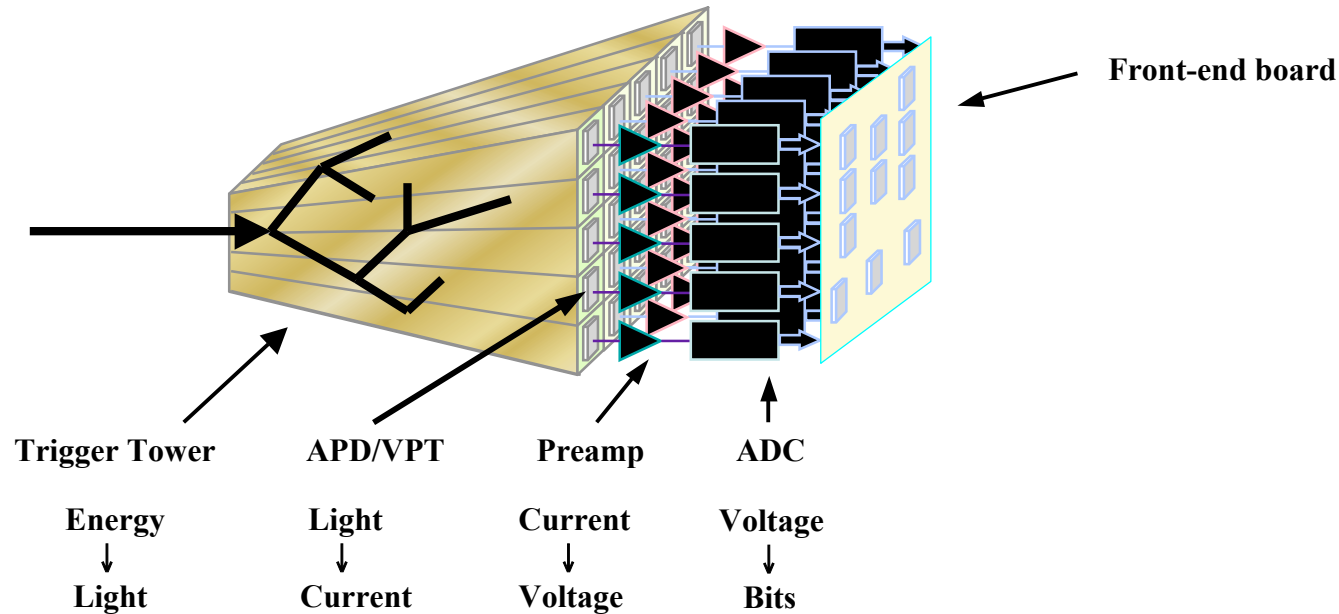
Generation with **PYTHIA** with a correct description of the energy evolution of the squared amplitude + inner Bremsstrahlung with **PHOTOS**



Full Simulation and Reconstruction chain of CMS (CMSIM & ORCA without pile-up):

- Very high energetic electrons! Work on the electron reconstruction
- Synchrotron radiation is included but found to be negligible in comparison to Bremsstrahlung in the tracker
- Possible saturation of the ECAL electronics

Saturation of the ECAL electronics



o Possible saturation of the ECAL electronics (pre-amplifiers in VFE cards) is studied:

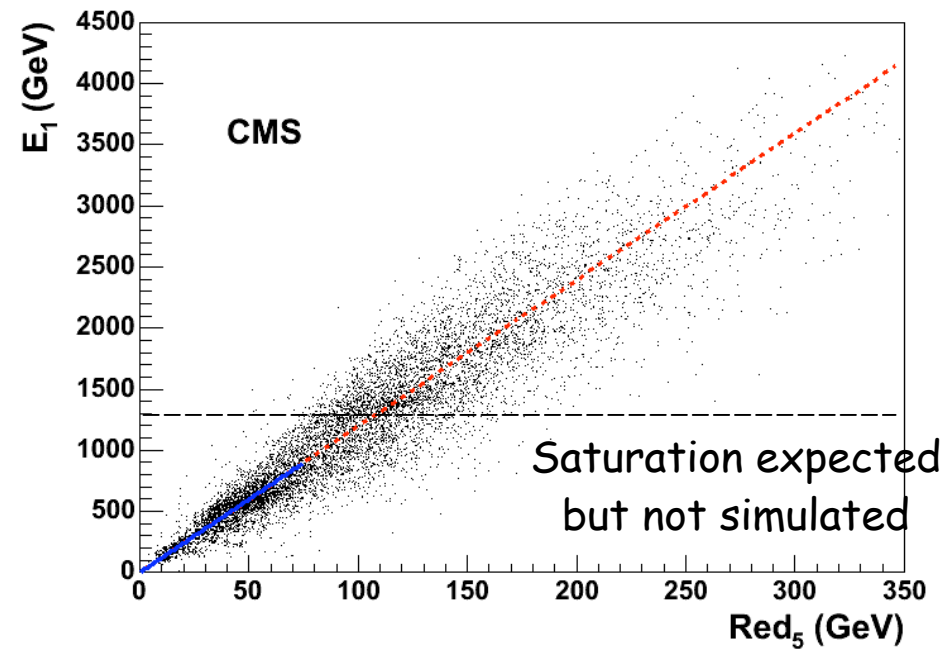
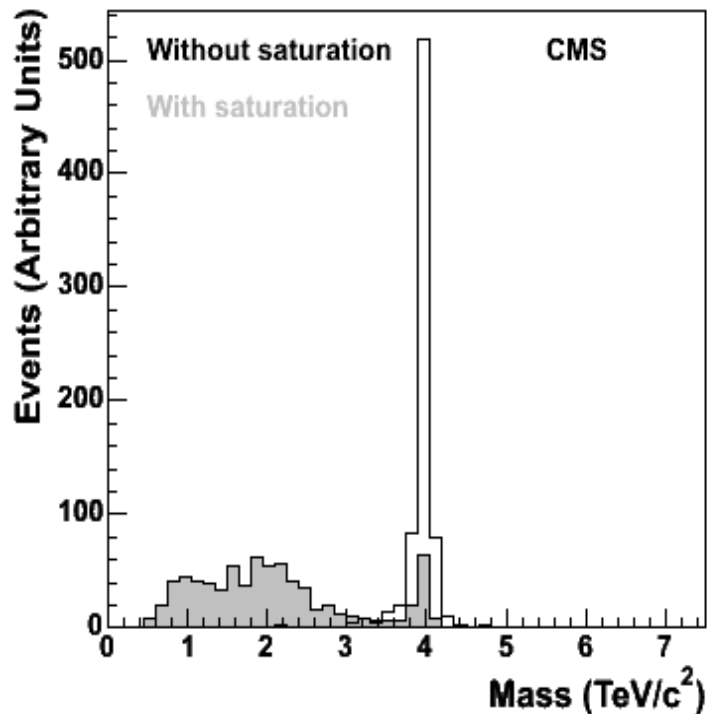
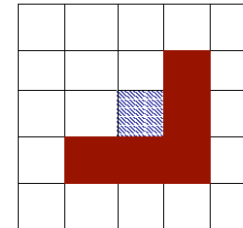
- Saturation expected at 1.7 TeV in the barrel with measured crystal light yield (4.5 photo-electrons/MeV)
- Study here for saturation at 1.25 TeV (i.e. 6 p.e./MeV)
- A simple correction is found.

Saturation of the ECAL electronics

- The saturation has a big effect on the mass reconstruction of heavy resonances.

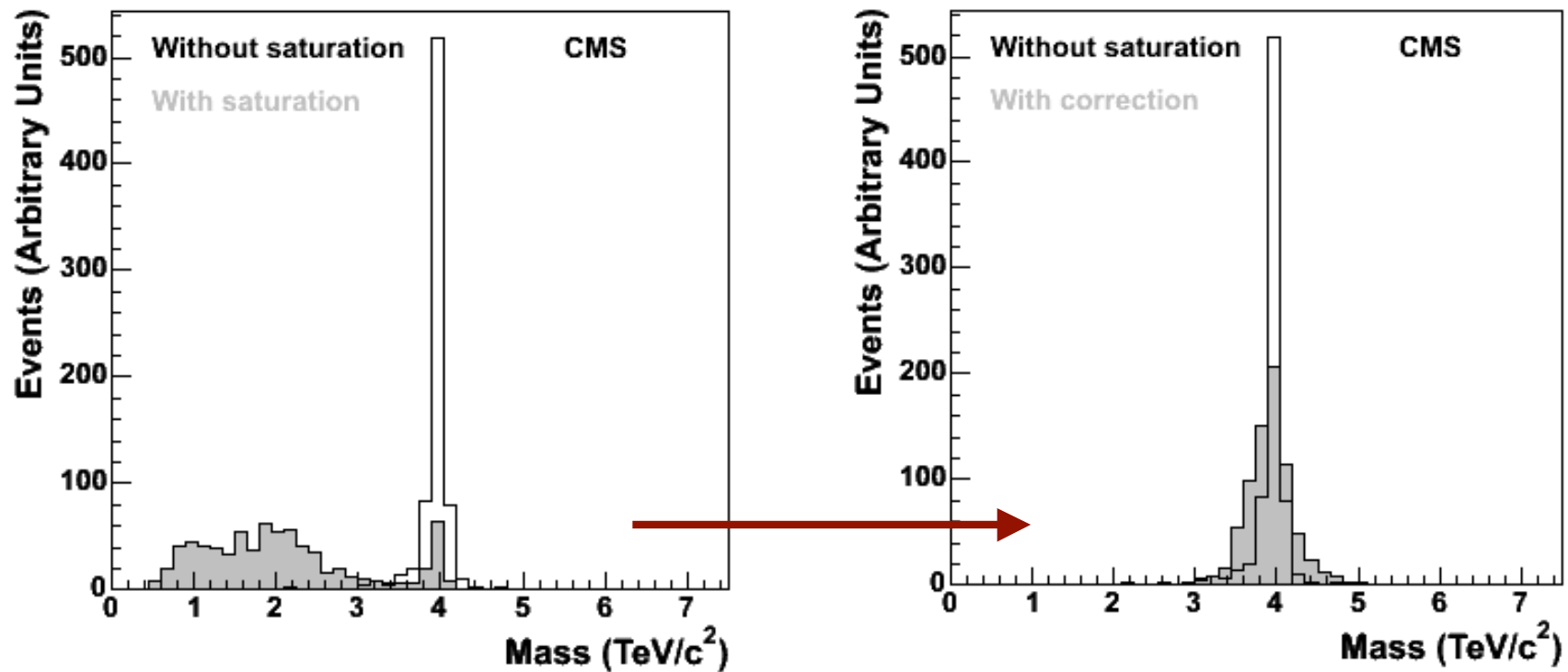
Idea for correction:
Correlation between
 $Red_5 = E_9 - E_4$ and E_1

5x5 crystals



Saturation of the ECAL electronics

- This correction of the saturation allows to reconstruct heavy mass resonances.

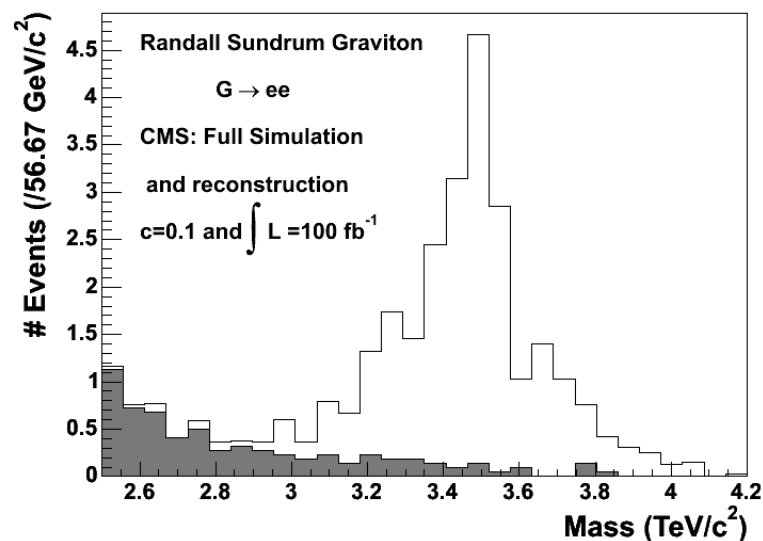
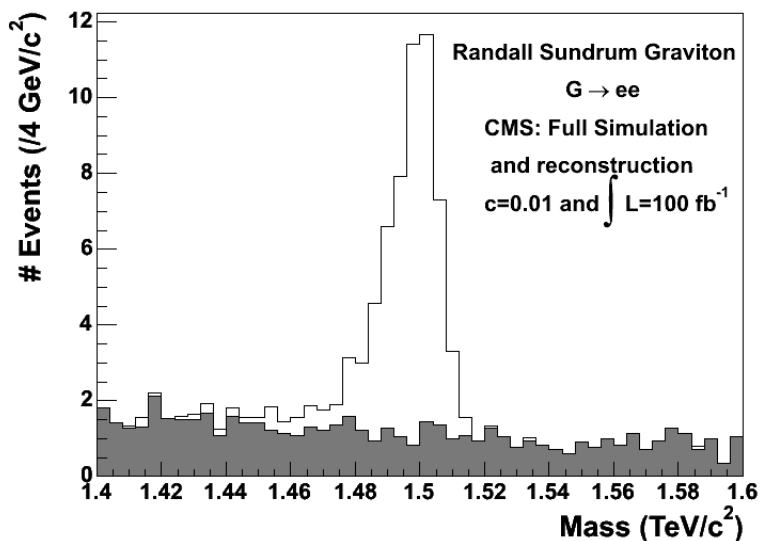


Selection Cuts

$$pp \rightarrow G \rightarrow e^+e^-$$

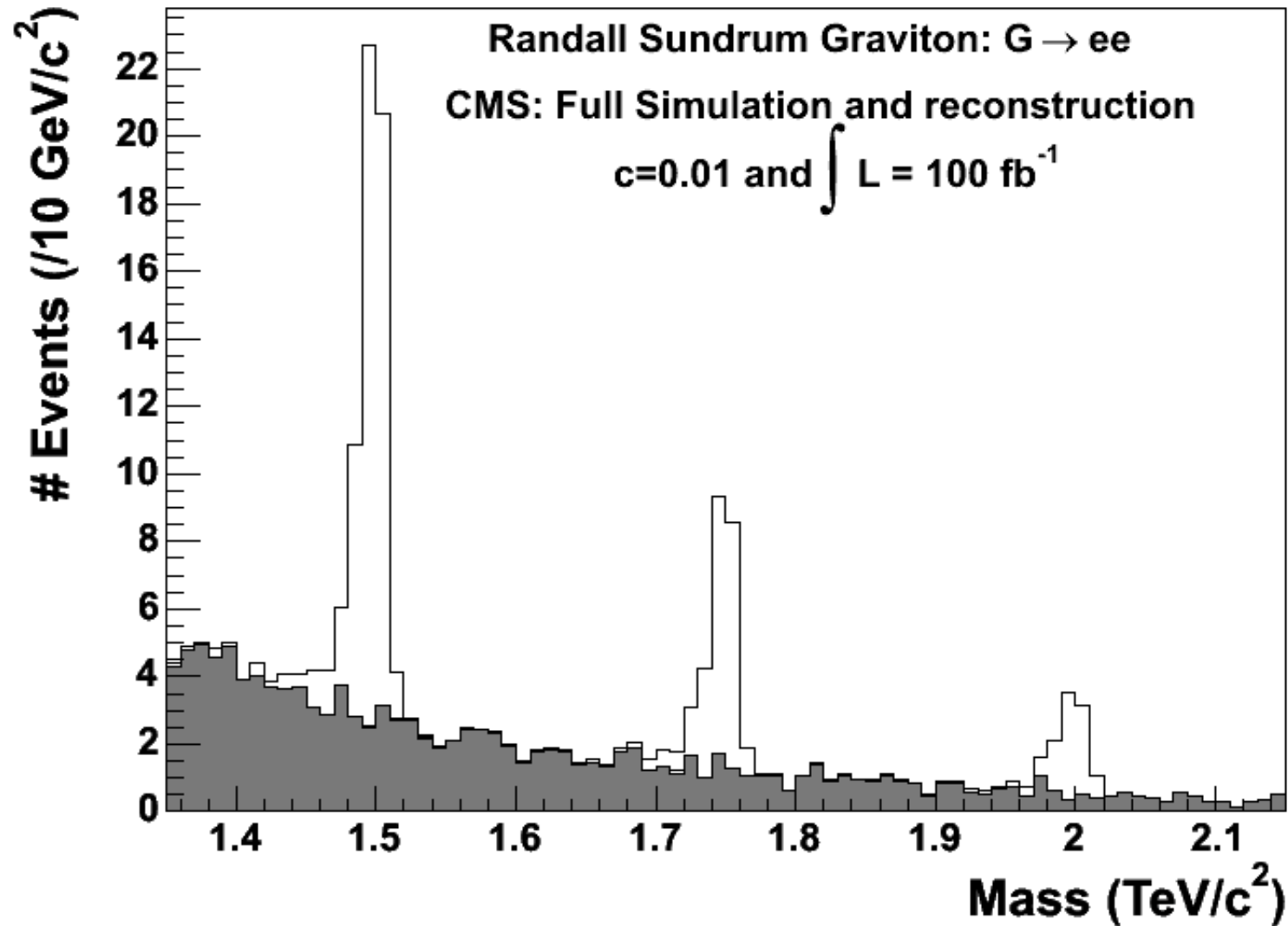
- Trigger up to Level 2.5
- 2 electrons
 - o Super-Clusters:
 - $p_T > 100 \text{ GeV}$,
 - $|\eta| < 1.4442$ (barrel)
or $1.566 < |\eta| < 2.5$ (endcaps)
 - o Isolated: $E_T^{\text{cone}} < 0.02 E_T^{\text{SC}}$ in cone $\Delta r < 0.5$ (to kill big jets)
 - o Electromagnetic: $H/E < 0.1$ (to kill π^+/π^-)
 - o Charged: 2 tracks with at least 2 hits (to kill π^0/γ)

Search for a resonance

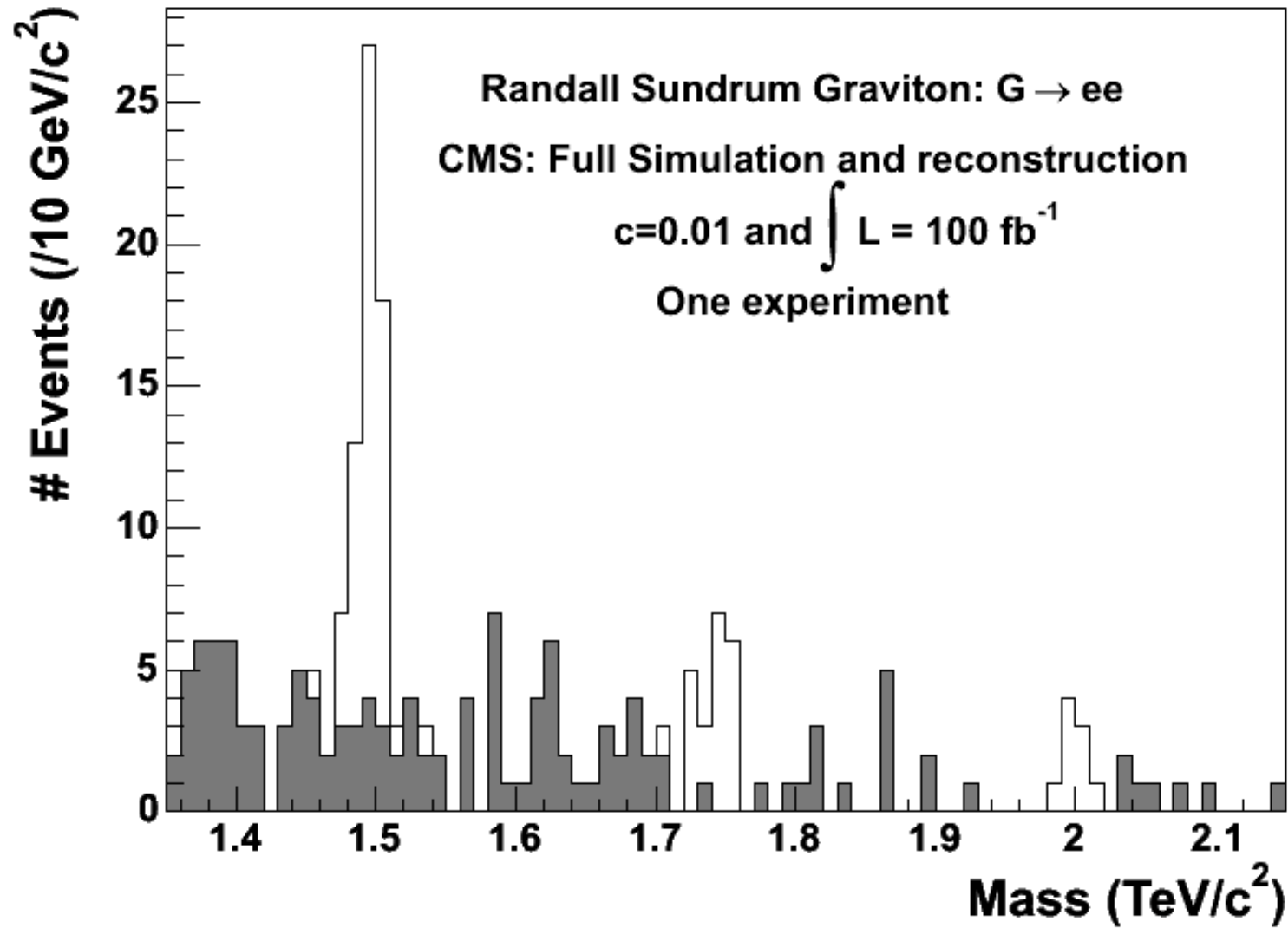


- Fit of a Gaussian to the signal distribution
- Mass window for N_S and N_B estimation: $\langle M \rangle \pm 3\sigma$
- For low coupling values: $E_1 < 1.25 \text{ TeV}$ (no saturation)
- For large coupling values: correction of the saturation coming from the ECAL electronics

Results for $c=0.01$

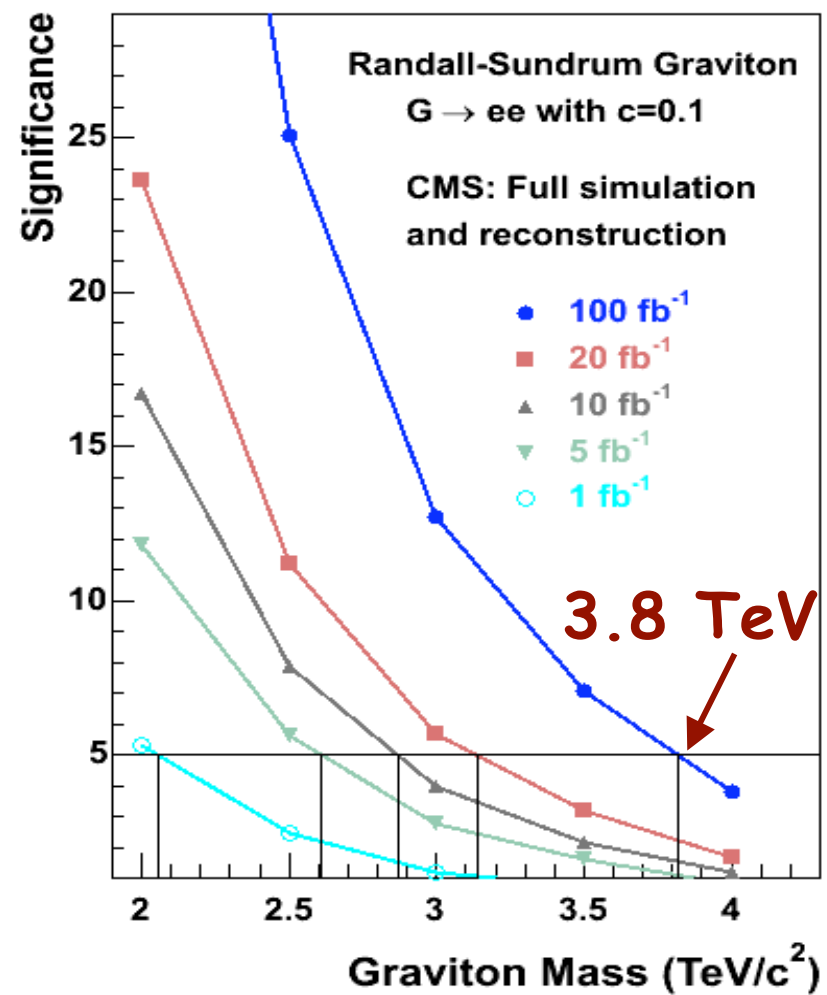
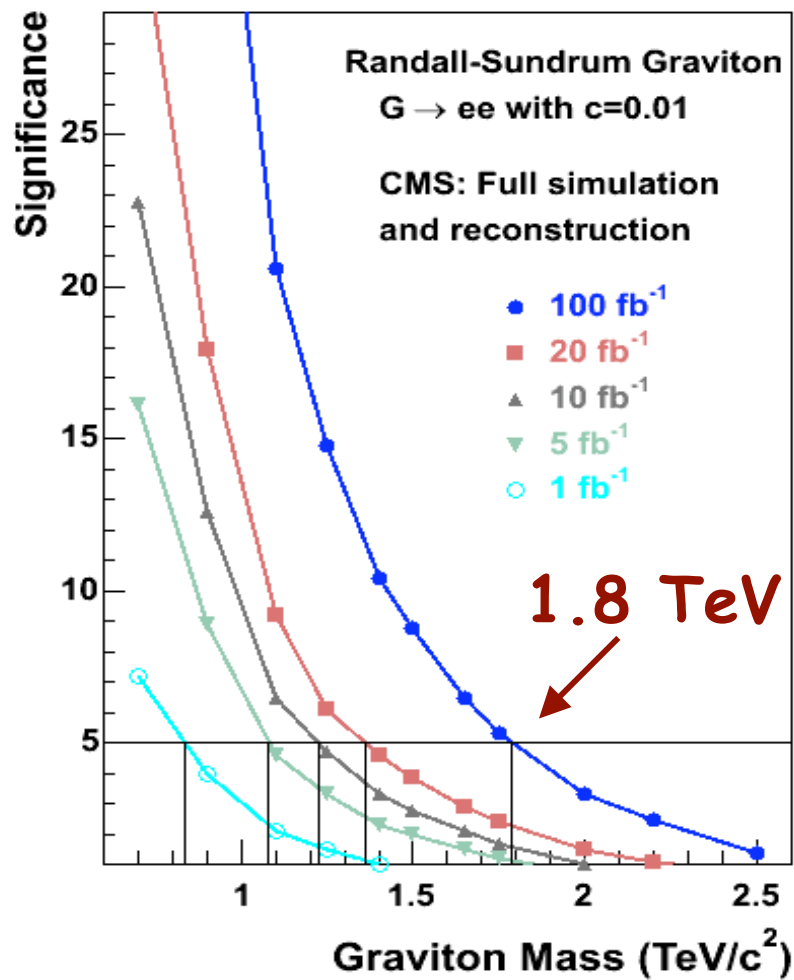


Results for $c=0.01$



Significance

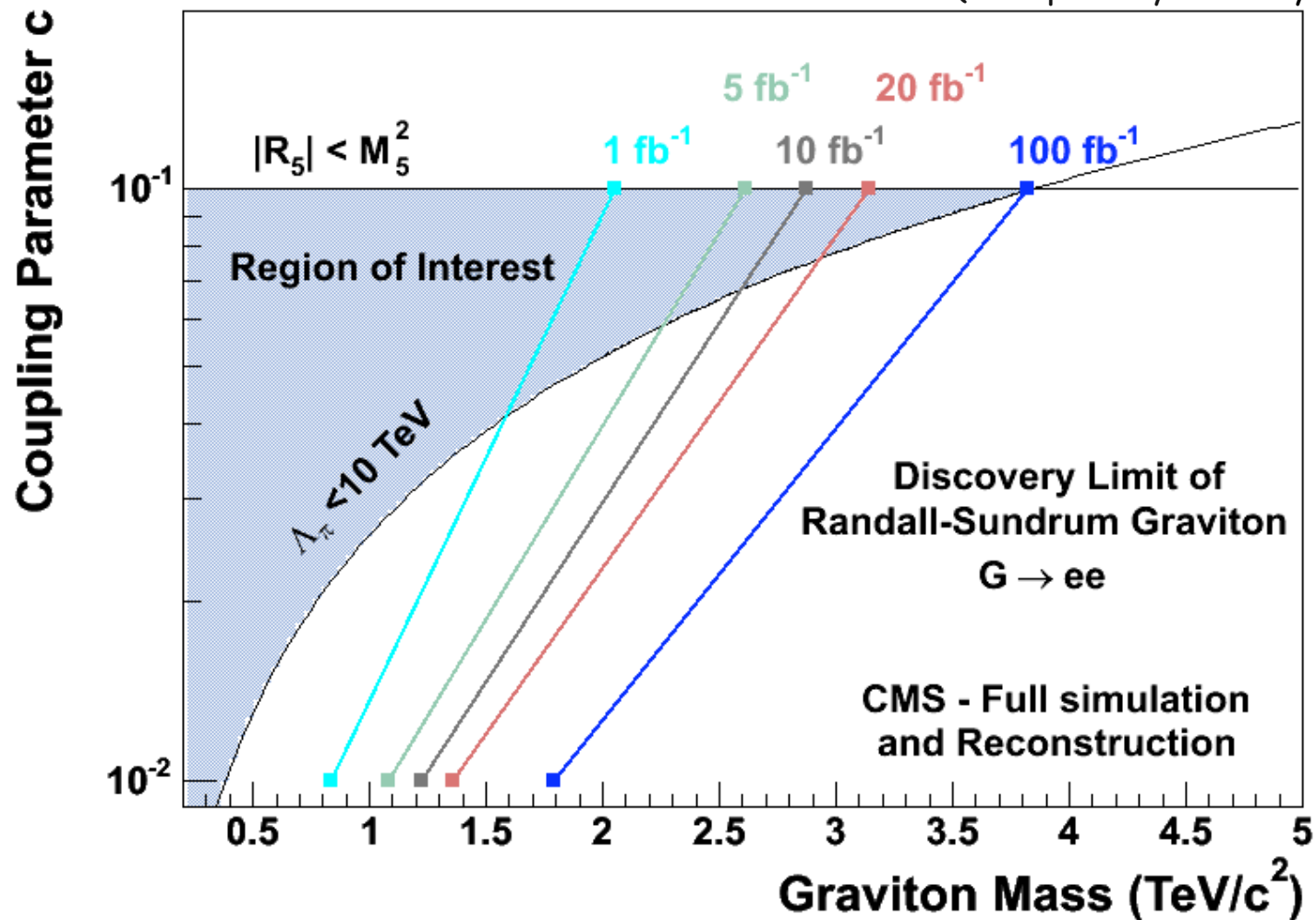
$$S = 2(\sqrt{N_S + N_B} - \sqrt{N_B}).$$



$G \rightarrow e^+e^-$: Discovery plane

CMS NOTE 2004-024

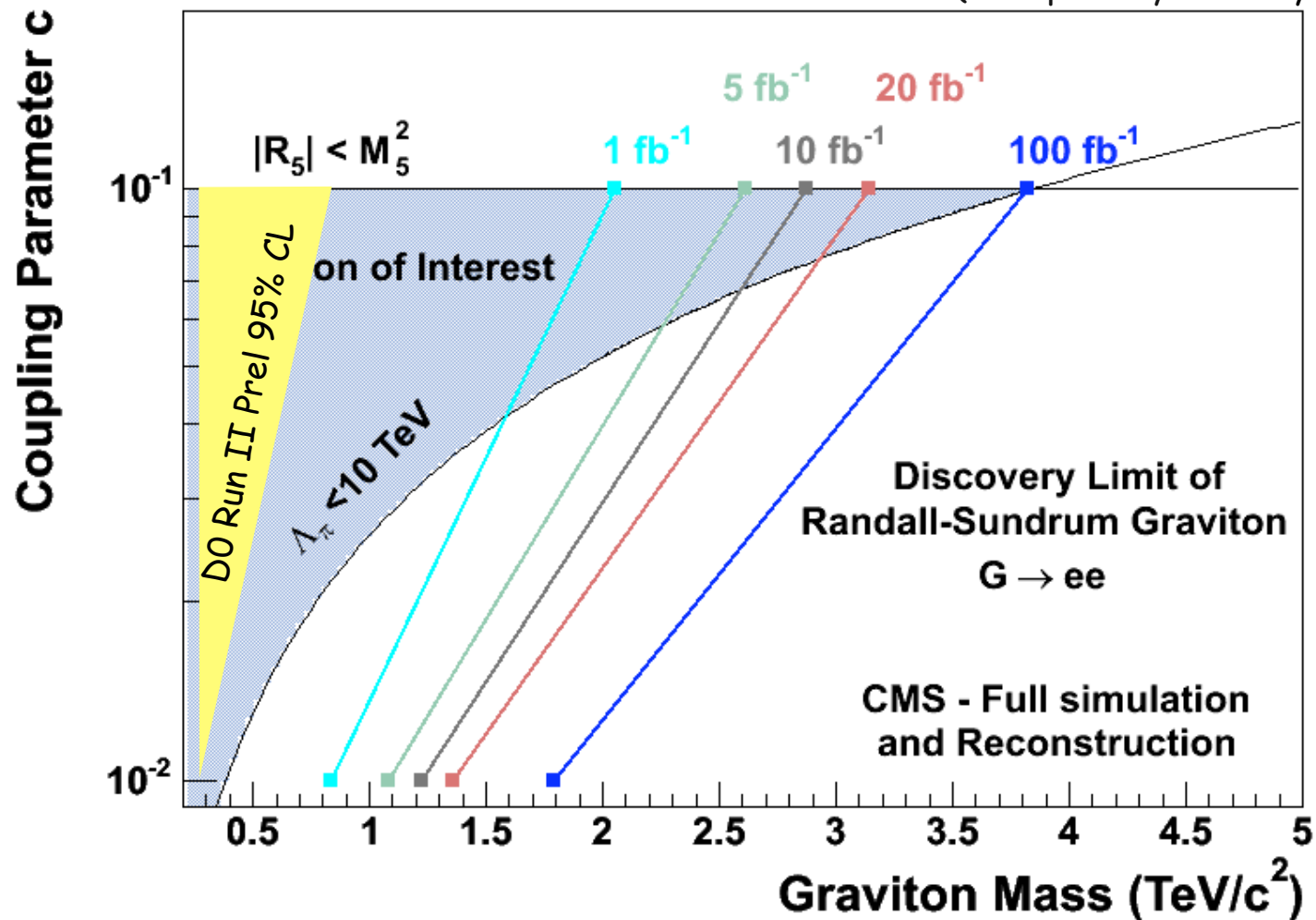
(Accepted by Eur. Phys. J-direct C)



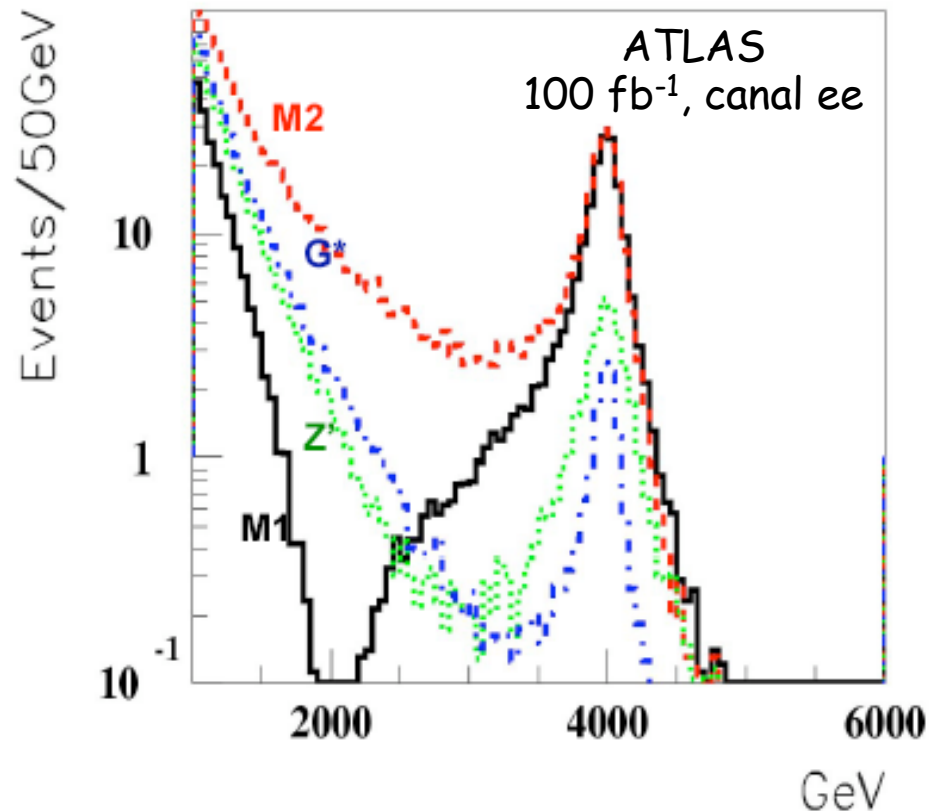
$G \rightarrow e^+e^-$: Discovery plane

CMS NOTE 2004-024

(Accepted by Eur. Phys. J-direct C)



Identification



How to distinguish Gravitons from other particles?

- Angular Distribution Study (Graviton is spin-2)
- Other Channel Study (Universal couplings of Graviton)

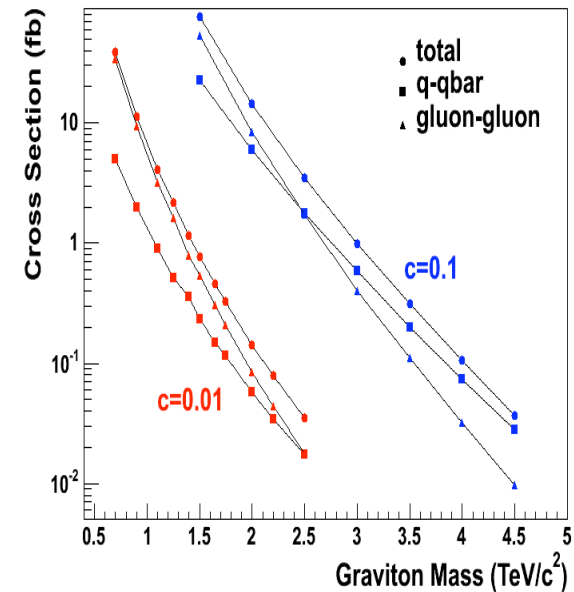
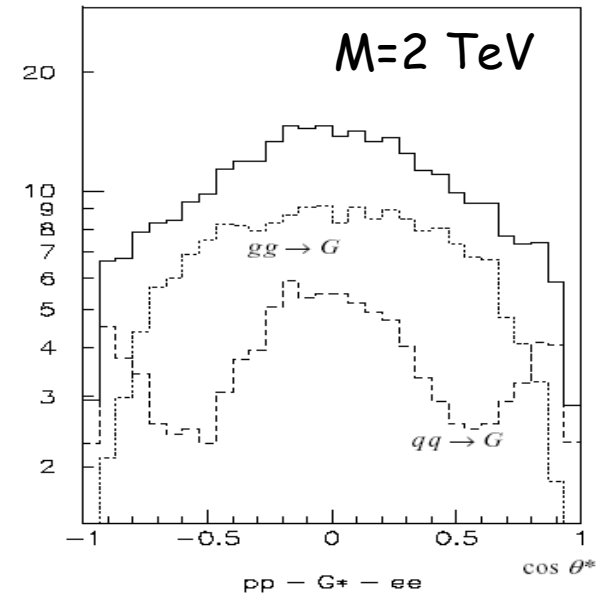
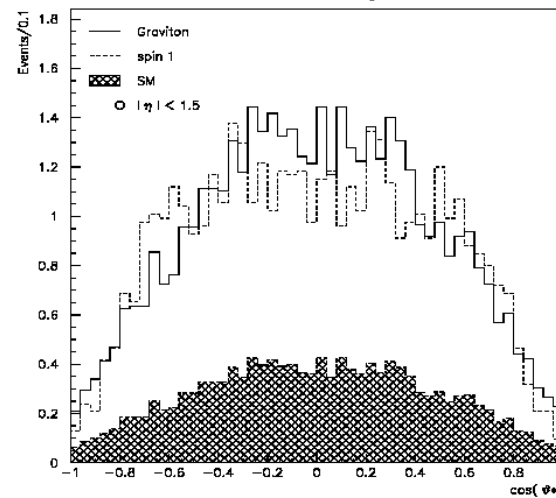
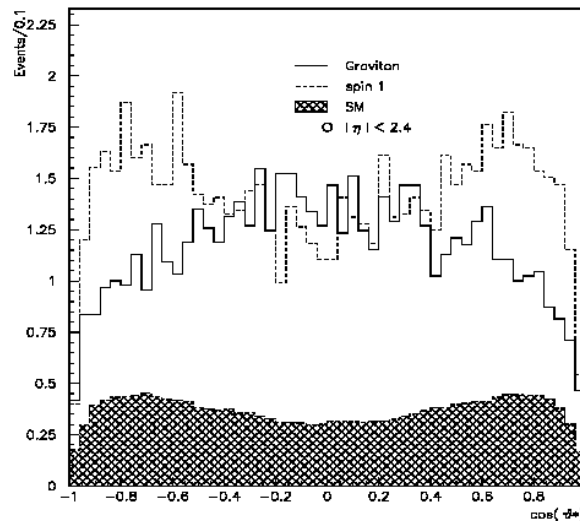
Angular Distribution

Analysis with fast simulation (CMSJET)

$|\eta| < 2.4$

$M=1.5$ TeV

$|\eta| < 1.5$



- Need of the endcaps!

- Dependence on the Graviton mass

⇒ Need to do the study with the full simulation and reconstruction chain of CMS

Conclusions on the RS analysis

Full simulation & reconstruction analysis

- Study of very energetic electrons and search for massive resonances
- Discovery plane for the Randall-Sundrum gravitons $G \rightarrow e^+ e^-$:
 - With 100 fb^{-1} : the region of interest will be covered by CMS.
 - With 1 fb^{-1} : a large part of this region of interest will be accessible at the first beginning of the LHC running.
- For the Future: Work on the Identification of the Graviton nature
 - Angular Distribution (Graviton is spin 2)
 - Other channels:
 - $G \rightarrow \gamma\gamma$ is allowed but not $Z' \rightarrow \gamma\gamma$.
 - Test the universality of the Graviton couplings.

Conclusions : The extra dim

- A large number of models exists. I have only presented 3 of them here, which propose quite interesting signatures to be detected at LHC.
- If we don't find candidates for new physics, the LHC will provide strong constraints on the different models.
- In case of discovery (which may appear quickly), big efforts should be done to identify the nature of the signal. Help will come from linear colliders.
- Important to be ready for the start of LHC!