

Dark photon and scalar field for tabletop experiments

The axion's underdogs

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1 Dark Matter

2 Dark photon

- Properties
- Resonant experiments
- Broadband experiments

3 Scalar field

- Properties
- Colocated
- Space-time separated

Types of particles Occupation number (cf slide 24 Pierre's talk) :

$$n \propto \frac{h^3 \rho_{DM}}{m_{DM}^4 v_{max}^3} \simeq 10^{29} \left(\frac{\mu eV}{m} \right)^4 \gg 1$$

Pseudo-scalar



Vector



Scalar



Go back in time 40 minutes ago

Underdog n°1

Underdog n°2

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What is it ?

Hypothetical gauge boson, similar to the regular photon but associated with a hidden/dark sector.

Interaction

Kinetic mixing

Mass

Not necessarily massless as the photon

Detections strategies

Direct and indirect

Axion Lagrangian:

$$\mathcal{L}_{\text{axion}} = \frac{1}{2}(\partial_\mu \phi)(\partial^\mu \phi) - \frac{1}{2}m_\phi^2 \phi^2 - \frac{g_{\phi\gamma}}{4}\phi F_{\mu\nu} \tilde{F}^{\mu\nu} + \dots$$

Dark Photon Lagrangian:

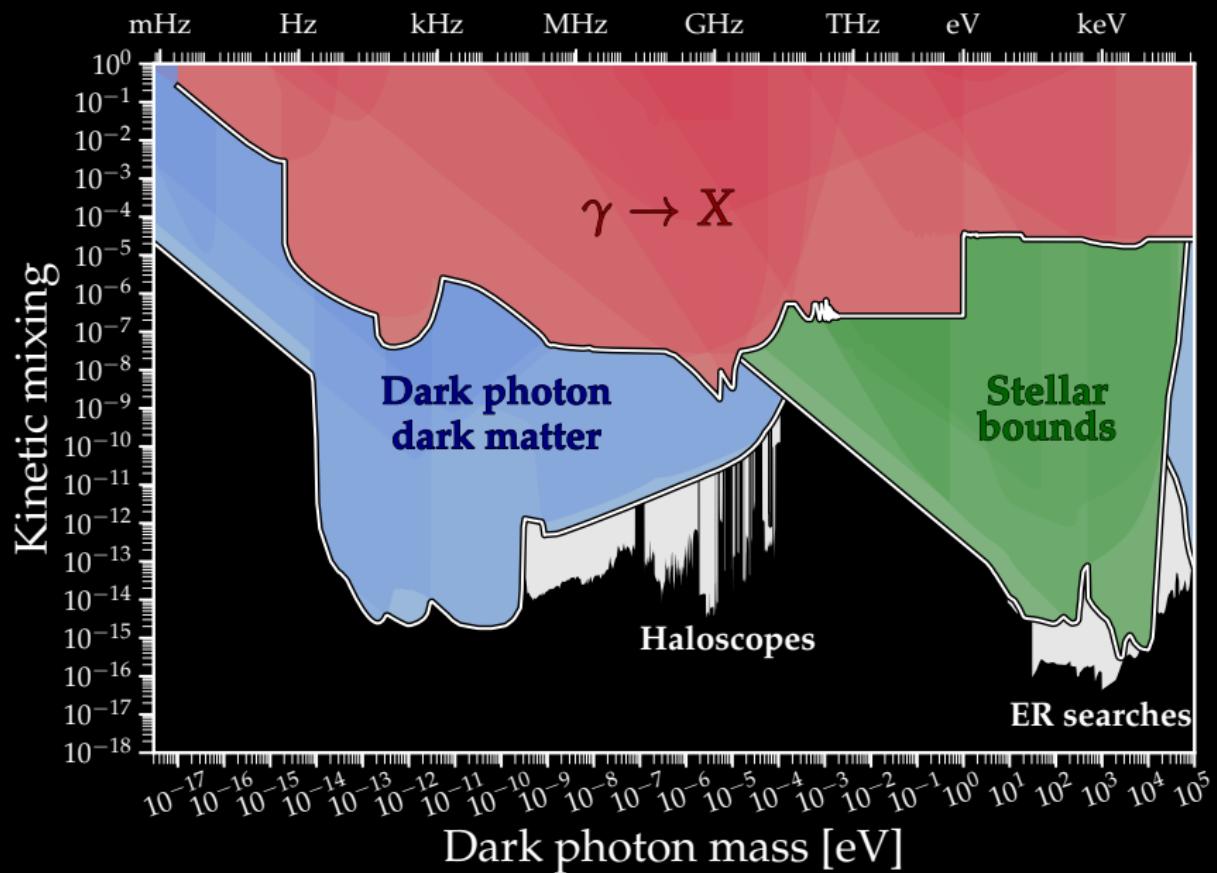
$$\mathcal{L}_{\text{dark photon}} = -\frac{1}{4}\phi_{\mu\nu}\phi^{\mu\nu} + \frac{1}{2}m_{\gamma'}^2\phi_\mu\phi^\mu + \frac{\chi}{2}F_{\mu\nu}\phi^{\mu\nu}$$

Massless

- Photon of the hidden sector.
- Very weak kinetic mixing.
- Not a DM candidate.

Massive

- Different behavior at low/high energies.
- Kinetic mixing with photons.
- DM candidate.



Dark Photon Lagrangian:

$$\mathcal{L}_{\text{dark photon}} = -\frac{1}{4}\phi_{\mu\nu}\phi^{\mu\nu} + \frac{1}{2}m_{\gamma'}^2\phi_\mu\phi^\mu + \frac{\chi}{2}F_{\mu\nu}\phi^{\mu\nu}$$

Kinetic shift

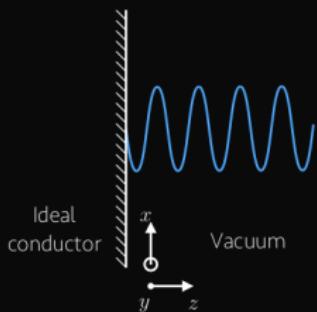
$$\phi^\mu \rightarrow \tilde{\phi}^\mu - \chi A^\mu$$

Modified Maxwell's equation

$$\vec{\nabla} \times \vec{H} - \dot{\vec{D}} = \chi \epsilon_0 \left(\dot{\vec{E}}_{DM} - c^2 \vec{\nabla} \times \vec{B}_{DM} \right)$$

Additional electric field in vacuum

$$\vec{E}_{DM} = -\partial_t \vec{A} = \chi \omega_{\gamma'} \vec{\phi}_{DM} = i \chi \omega_{\gamma'} \phi_0 e^{i \omega_{\gamma'} t - i k_{\gamma'} x} \vec{e}$$



Dark photon in a mirror: Conversion to an
"usual" electric field :

$$\vec{E}_{\text{out}} = -i\omega_{\gamma'} \phi_0 \chi e^{-i\omega_{\gamma'} t - ik_{\gamma'} x} \vec{e}$$

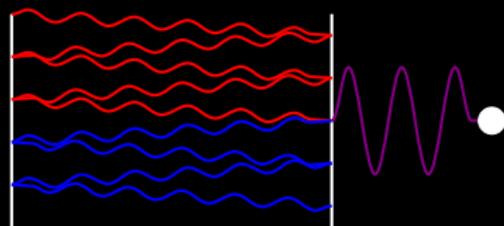
Thanks again Pierre !

Output Power: $\frac{\Pi}{\text{W/m}^2} = 1.44 \times 10^{-20} \left(\frac{\rho_{\text{DM}}}{\text{GeV/cm}^3} \right) \left(\frac{\chi}{10^{-12}} \right)^{-2}$

Emission: Normal to surface

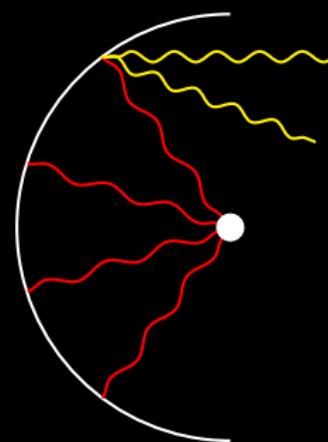
Resonant Search

- Narrow mass range
- High sensitivity
- Tuned detectors



Broadband Search

- Wide mass range
- Moderate sensitivity
- Broad scan

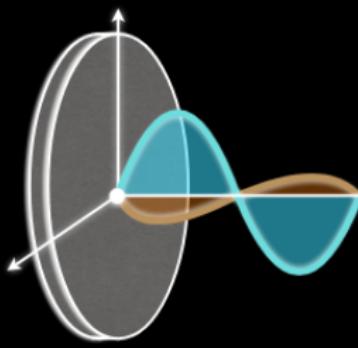


Polarization: Big difference with the axion

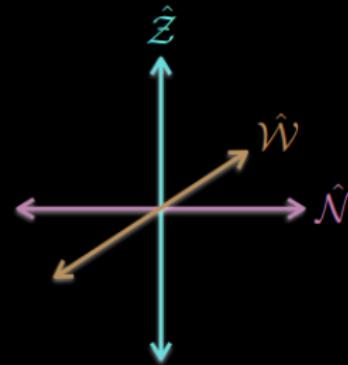
Axial experiment
(Zenith-pointing)



Planar experiment
(North-facing)



Possible DP Polarisations



Earth revolution creates a modulation

Sensitivity : Planar > Axial and measurement timing optimizable

$$\text{SNR}(f) \sim \frac{\Pi S Q \alpha}{k_B (T_{\text{sys}} + T_{\text{ext}})} \sqrt{\frac{\tau}{\Delta f}} \delta(m - m_\varphi)$$

m_φ Monochromatic signal at the dark photon mass*

- Increase sensitivity with

S High surface area for broadband

Q High quality factor for resonant

α Optimally paced measurement method for polarization

T_{ext} External noise is already attenuated

- Out of focus for broadband
- Not enhanced by resonance

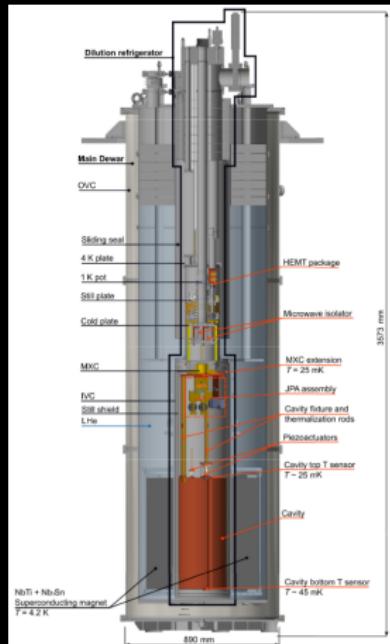
T_{sys} Limiting noise due to the measurement electronics temperature.

$\tau, \Delta f$ Can be tuned with duration and resolution

Center for Axion and Precision Physics :

- Resonant cavity : 1, 1.8, 2.5, 5 GHz
- Bandwidth : 150 MHz
- System noise : 0.4 K
- Sensitivity at the 10^{-14} level

Ahn et al., PRX 2024



Other resonant experiments :

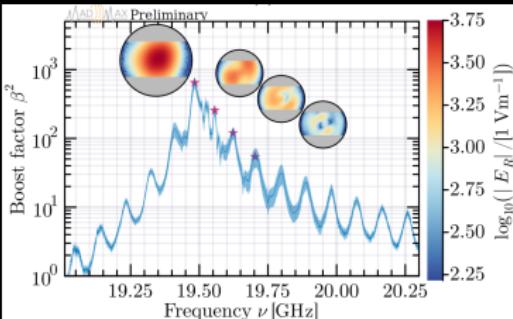
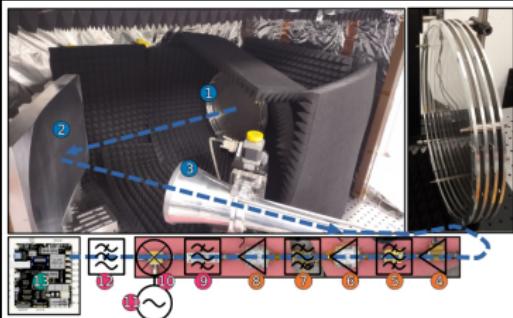
- Orpheus paper by Cervantes et al., PRD 2022
- Haystack paper by Backes et al., Nature 2021
- QUAX-LNF paper by Rettaroli et al., PRD 2024
- ORGAN paper by Mc Allister et al., ADP 2023

Magnetized Disc and Mirror Axion eXperiment:

- Broadband antenna
- Bandwidth : 19 – 20.4 GHz
- System noise : 240 K
- Sensitivity at the 10^{-12} level

Special features:

- Tunable resonance creating a sensitivity boost
- Experimental sensitivity measurement

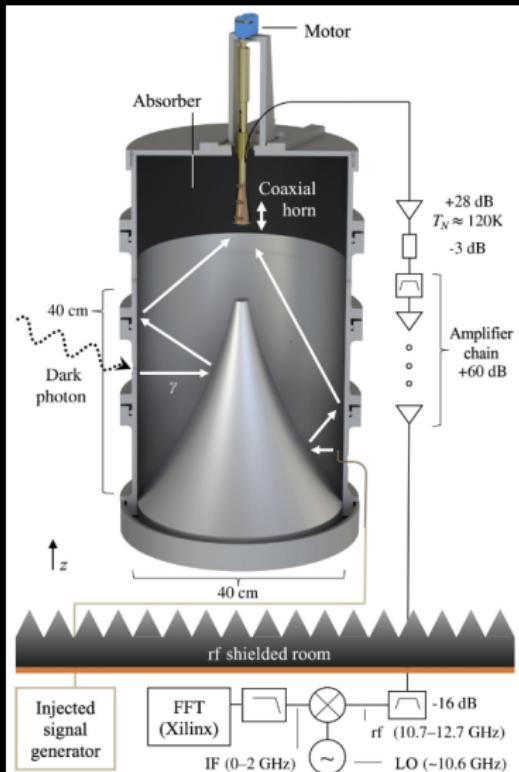


Broadband Reflector Experiment for Axion Detection

- Broadband antenna
- Bandwidth : 10.7 – 12.5 GHz
- System noise : 120 K
- Sensitivity at the 10^{-12} level

Special features:

- Hershey's kiss reflector



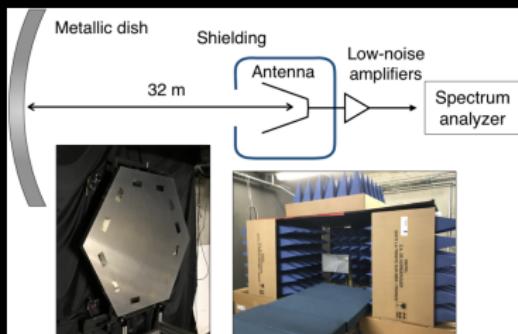
Search for U(1) dark matter with an Electromagnetic Telescope

- Broadband antenna
- Bandwidth : 5 – 7 GHz
- System noise : 554 K
- Sensitivity at the 10^{-10} level*

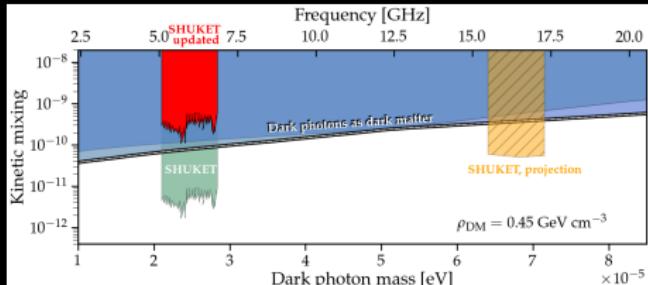
Special features:

- Lowest cost per PRL publication*

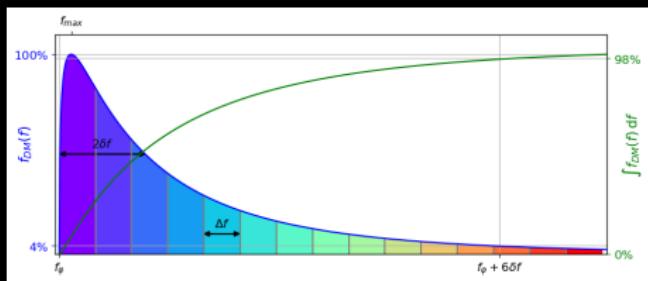
Brun et al., PRL 2019



Sensitivity: Decrease due to diffraction and mismatch in the mode antenna Gué et al., PRD 2024



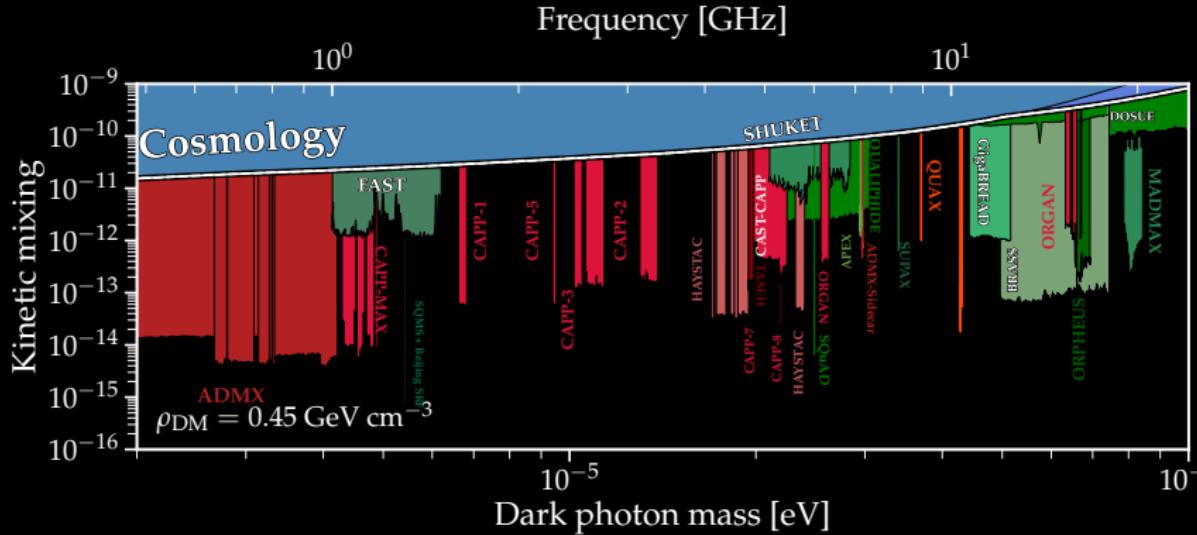
Data analysis: Improved software searching for non monochromatic shape



Upgrade: Improved electronic

$T_{sys} \searrow$ and $\tau \nearrow$

Stay tuned for revised constraints thanks to Jordan Gué's PHD work and Robin Signoret's future PHD work.



Caputo et al., PRD 2021

- Good training before an axion search
 - Still some mass range to cover

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What is it ?

A field represented by a scalar value at every point in space and time.

Interaction

Couples to other fields via Yukawa interactions or portal interactions.

Mass

From ultra-light to very heavy.

Detection strategies

Cosmic background, gravitational effects, precision experiments, and colliders.

Scalar field theory action

The theory relies on an action where φ is the massive scalar field :

$$S = \int d^4x \frac{\sqrt{-g}}{c} \frac{c^4}{16\pi G} \underbrace{[R - 2g^{\mu\nu}\partial_\mu\varphi\partial_\nu\varphi - V(\varphi)]}_{\text{GENERAL RELATIVITY + SCALAR FIELD}}$$

$$+ \int d^4x \frac{\sqrt{-g}}{c} \underbrace{[\mathcal{L}_{SM}[g_{\mu\nu}, \Psi_i] + \mathcal{L}_{int}[g_{\mu\nu}, \varphi, \Psi_i]]}_{\text{STANDARD MODEL + SCALAR FIELD}}$$

General relativity part

- ① Spatial dependance
- ② Time dependance

Lagrangian part

- ① Coupling SM-DM
- ② Constants modulation

Lagrangien part

$$\mathcal{L}_{int}[g_{\mu\nu}, \varphi, \Psi] = \frac{\varphi^i}{i} \left[\frac{d_e^{(i)}}{4e^2} F_{\mu\nu} F^{\mu\nu} - \frac{d_g^{(i)} \beta_3}{2g_3} F_{\mu\nu}^A F_A^{\mu\nu} \right. \\ \left. - \sum_{i=e,u,d} \left(d_{m_i}^{(i)} + \gamma_{m_i} d_g^{(i)} \right) m_i \bar{\psi}_i \psi_i \right]$$

Damour and Donoghue, PRD 2010

i = 1 Linear coupling**i = 2** Quadratic coupling

Coupling parameter

 d_e Fine structure constant d_{m_e} Electron mass $d_{m_{u,d}}$ Quark mass d_g Lambda QCD scale

General relativity action part

$$S = \int d^4x \frac{\sqrt{-g}}{c} \frac{c^4}{16\pi G} \underbrace{[R - 2g^{\mu\nu}\partial_\mu\varphi\partial_\nu\varphi - V(\varphi)]}_{\text{GENERAL RELATIVITY + SCALAR FIELD}}$$

How φ varies with space-time ? Applying the least action principle we get the following scalar field equation :

Linear coupling

$$\square\varphi + \left(\frac{m_\varphi c^2}{\hbar} \right)^2 \varphi = -\frac{4\pi G}{c^2} \alpha_A \rho_A$$

Quadratic coupling

$$\square\varphi + \left(\frac{m_\varphi c^2}{\hbar} + \frac{4\pi G}{c^2} \alpha_A \rho_A \right)^2 \varphi = 0$$

Linear coupling

Classical phenomenology

$$\varphi(t, \vec{r}) = \varphi_0 \sin(\omega_\varphi t - \vec{k}_\varphi \cdot \vec{r}) - s_A \frac{GM_A}{c^2 r} e^{-r/\lambda_\varphi}$$

Quadratic coupling

Richer phenomenology

$$\varphi(t, \vec{r}) = \varphi(r) \varphi_0 \sin(\omega_\varphi t - \vec{k}_\varphi \cdot \vec{r})$$

Phenomenology

Time oscillation

Spatial dependance

Phenomenology

Screening

Enhancement

Energy-impulsion tensor and scalar field energy density

$$T^{\mu\nu}(\varphi) = \frac{2}{\sqrt{-g}} \frac{\delta \mathcal{L}}{\delta g_{\mu\nu}} \Rightarrow \langle \rho_\varphi \rangle = \frac{T_{00}}{c^2} = \left\langle \frac{1}{2\kappa c^2} \dot{\varphi}^2 + \frac{1}{2\kappa c^2} \omega_\varphi^2 \varphi^2 \right\rangle$$

Energy density

$$\langle \rho_\varphi \rangle = \rho_{DM} \Rightarrow \varphi_0 = \frac{\sqrt{8\pi G \rho_{DM}}}{\omega_\varphi c}$$

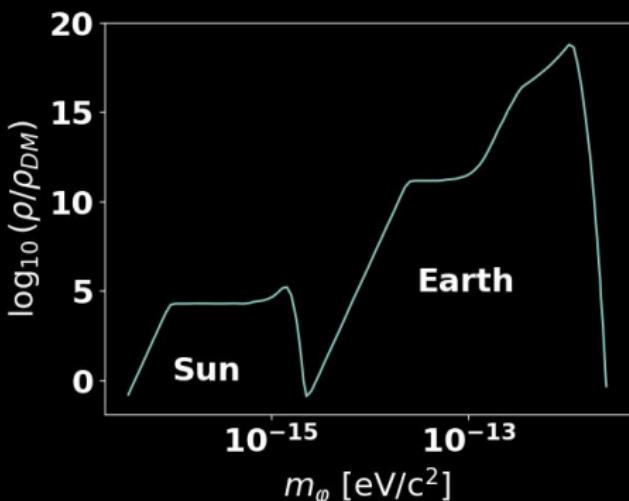
Density



Galactic halo



Earth halo



A. Banerjee et al., Nature Communications, (2020)

Fine structure constant variation

When considering only the electromagnetic effect, the effective lagrangien $\mathcal{L}_{int} + \mathcal{L}_{SM}$ leads to variation of the fine structure constant :

$$\mathcal{L}_{eff}^{EM} = \underbrace{-\frac{e^2 c}{16\pi\hbar\alpha} F^2}_{\text{ELECTROMAGNETISM FROM STANDARD MODEL}} + \underbrace{d_e \varphi \frac{e^2 c}{16\pi\hbar\alpha} F^2}_{\text{ELECTROMAGNETISM FROM SCALAR FIELD}} \simeq \frac{-e^2 c}{16\pi\hbar\alpha(1+d_e\varphi)} F^2$$

Variation of the fine stucture constant

$$\alpha(t) = \alpha \left(1 + d_e \sqrt{\frac{8\pi G \rho_{DM}}{\omega_\varphi c^2}} \cos(\omega_\varphi t) \right)$$

Other constants

$$m_j(\varphi) = m_j \left(1 + d_{m_j}^{(i)} \varphi^i \right)$$

for $j = e, u, d$

$$\Lambda_3(\varphi) = \Lambda_3 \left(1 + d_g^{(i)} \varphi^i \right)$$

Colocated clocks

Comparison of different clocks at
the same space and time :

$$\frac{\delta(\nu_A/\nu_C)}{(\nu_A/\nu_C)_0} = \left(d_e + (d_{m_e} - d_g) \right) \varphi$$

Dimensionless

$$m_x/\Lambda_3, \Rightarrow d_{m_x} - d_g.$$

vs

Space-time separated clocks

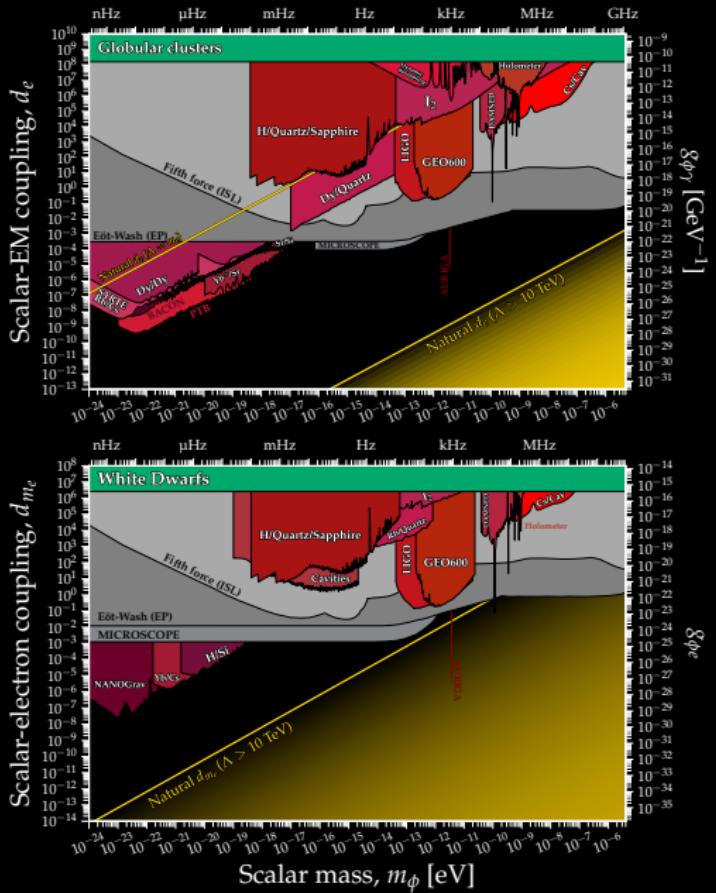
Comparison of the same clocks at
different space and/or time :

$$\frac{\delta\left(\nu_{A_1}/\nu_{A_2}\right)}{\left(\nu_{A_1}/\nu_{A_2}\right)_0} = \left(2d_e + d_{m_e} \right) \varphi$$

Dimensional

$$m_x \Rightarrow d_{m_x}.$$

Existing constraints on linear coupling



Universality of free fall

Eot-Wash : Wagner et al., CQG 2012
 MICROSCOPE : Bergé et al., PRL 2018

Colocated

SYRTE : Hees et al. PRL 2016
JILA : Kennedy et al., PRL 2020
BACON : Beloy et al., Nature, 2021
PTB : Filzinger et al., PRL 2023

Space-time separated

DAMNED : Savalle et al., PRL 2021
GEO600 : Vermeulen et al., Nature 2021
LIGO : Göttel et al., PRL 2024

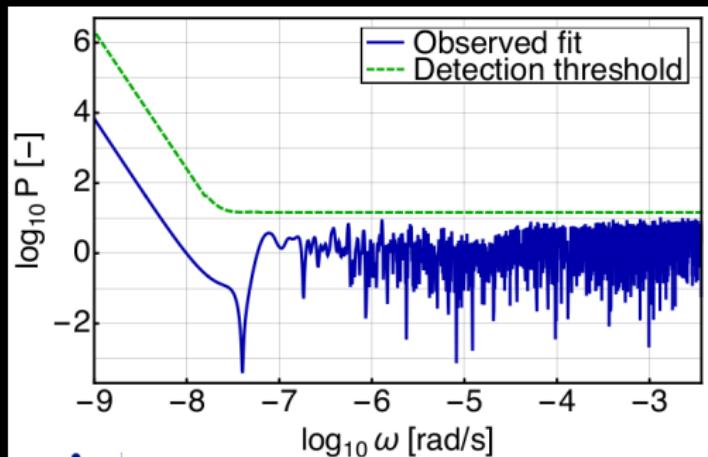
Caputo et al., PRD 2021

Clocks comparison:

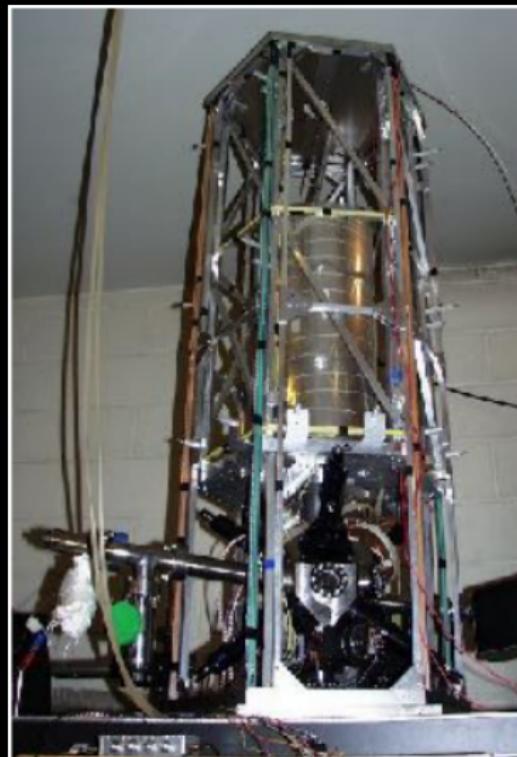
Searching for a periodic signal in two clocks desynchronization

Sensitivity:

$$\frac{\delta(\nu_A/\nu_C)}{(\nu_A/\nu_C)_0} = d_e \varphi + \dots$$



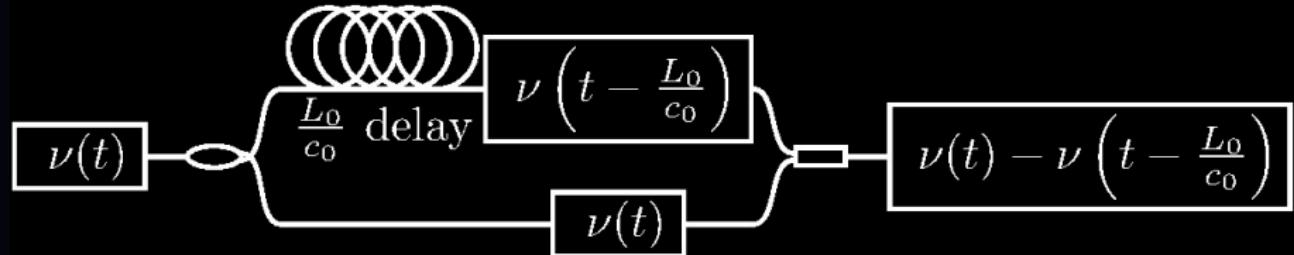
Hees et al., PRL 2016



SYRTE atomic clock

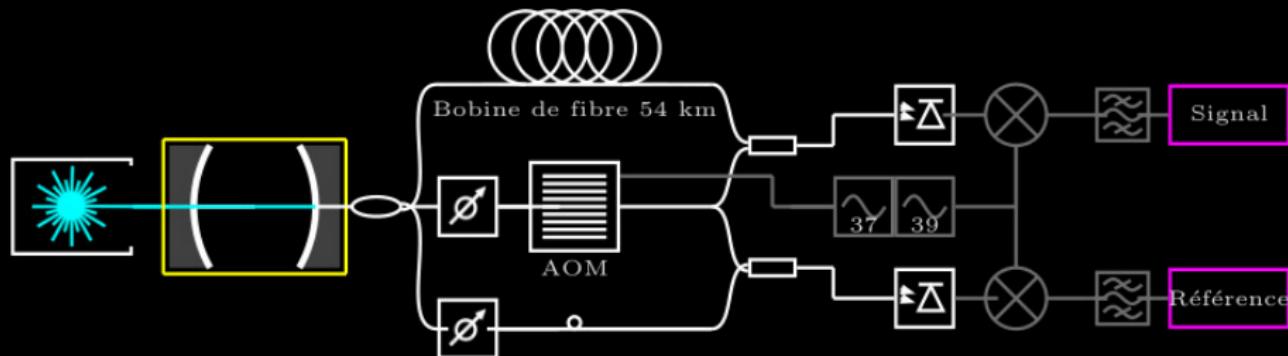
DArk Matter from Non Equal Delays

"DAMNED" allows to compare an ultrastable cavity to itself in the past.



Unequal-arm length Mach-Zender interferometer





Phase difference between the delayed and non delayed signals

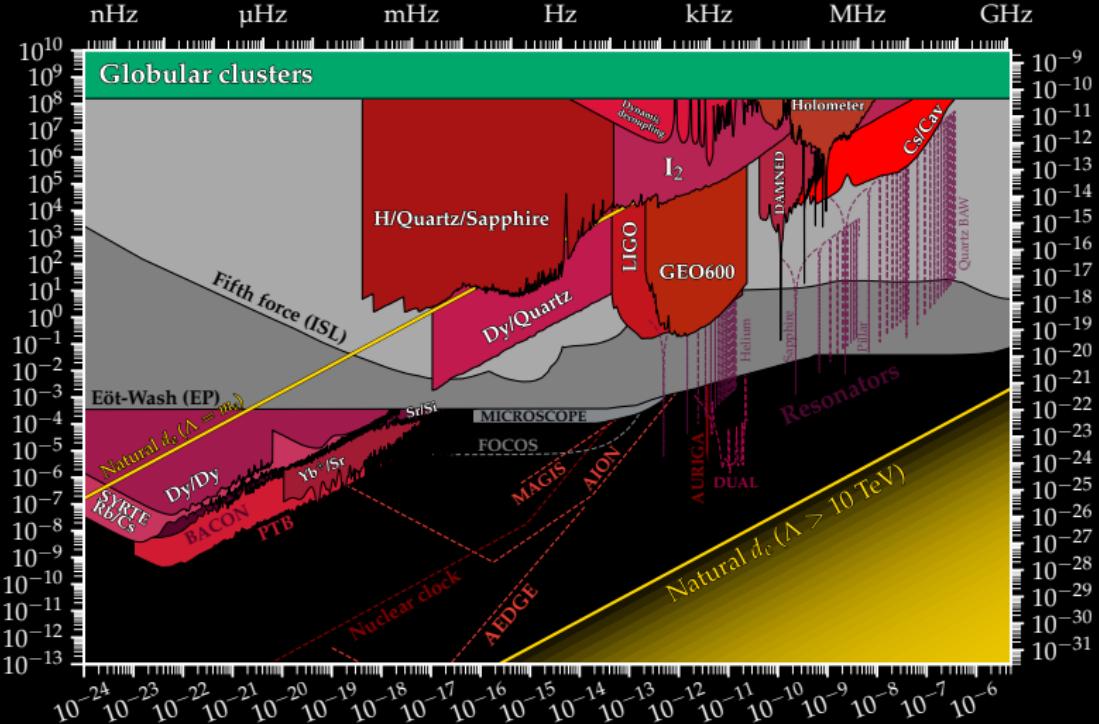
$$\Delta\Phi(t) = \omega_0 T_0 + \omega_0 \int_{t-T_0}^t \left(\frac{\Delta T(t')}{T_0} + \frac{\Delta\omega(t')}{\omega_0} \right) dt' + \omega_0 T_0 \left(\frac{\delta T}{T_0} + \frac{\delta\omega}{\omega_0} \right) \sin \left(\omega_\varphi t - \omega_\varphi \frac{T_0}{2} \right) \text{sinc} \left(\omega_\varphi \frac{T_0}{2} \right)$$

Color code

NOMINAL VALUE

NOISE

DARK MATTER EFFECT

Scalar-EM coupling, d_e 

- Available with any stable/accurate metrology equipment
- Still some mass range to cover
- Same data analysis as an axion search

Caputo et al., PRD 2021
 $\delta_{\phi\gamma} [GeV]$