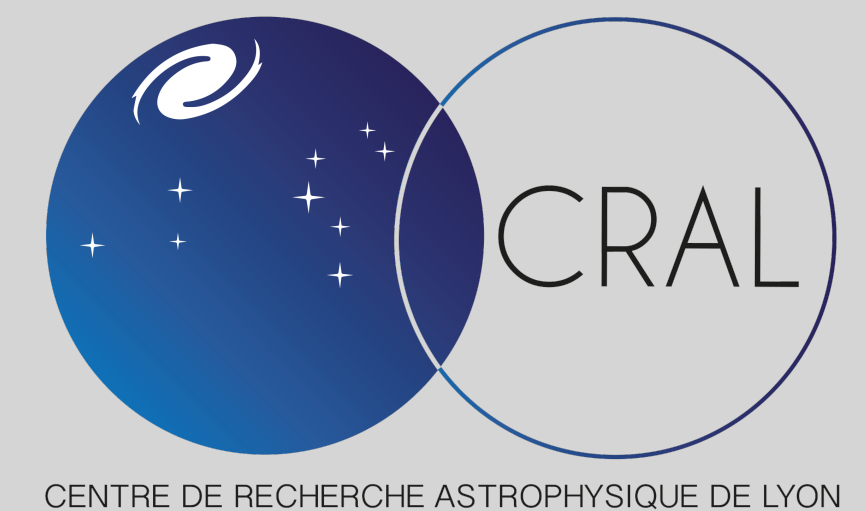
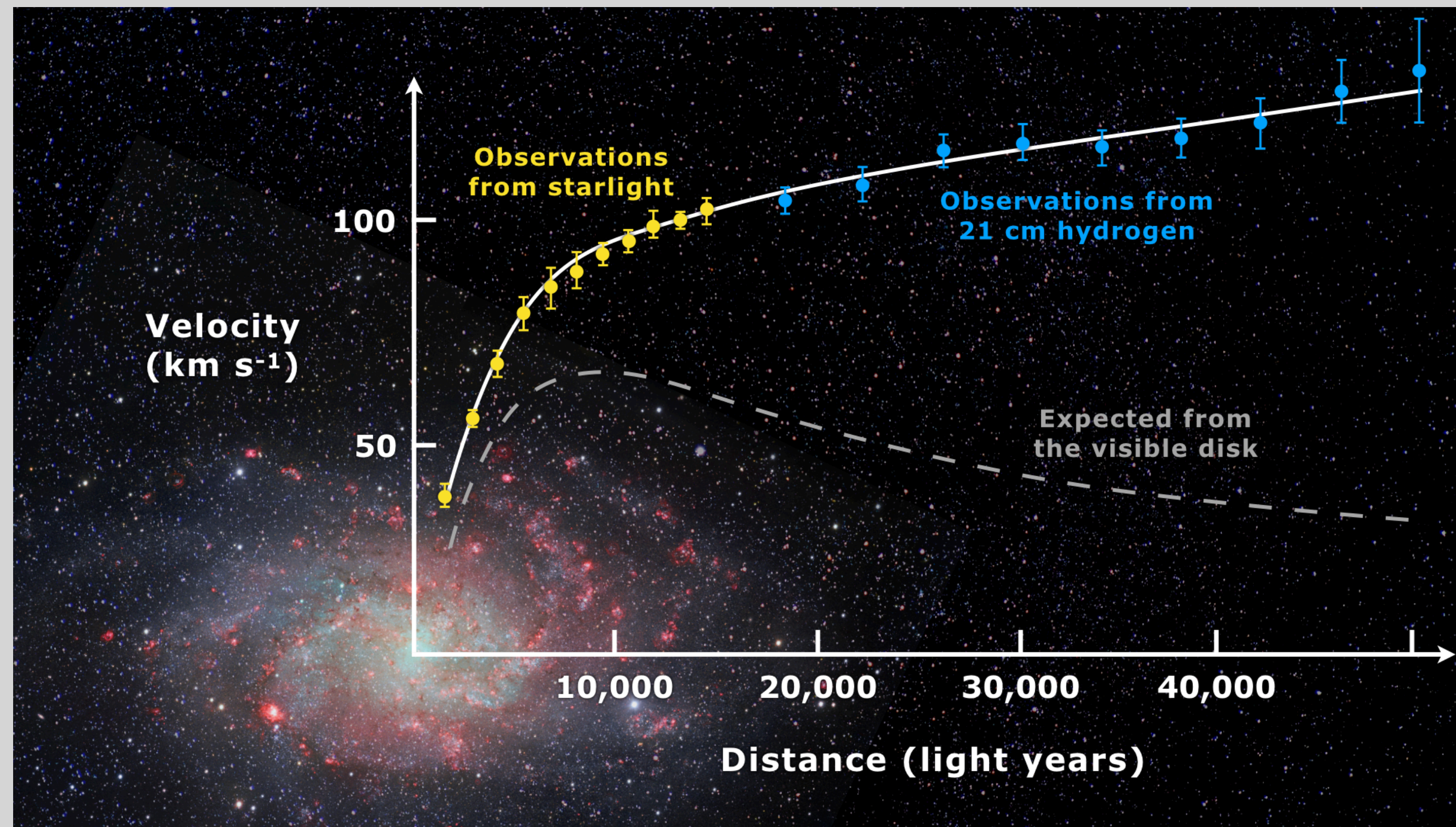


# Constraints on Dark Matter from Galaxy Rotation Curves





# Outline

**1. Early work**

**2.  $\Lambda$ CDM**

**3. Small scale problems of  $\Lambda$ CDM: core cusp problem & diversity of rotation curves**

**4. Solutions in  $\Lambda$ CDM**

**5. How to test this observationally?**

**6. Results from observational studies**

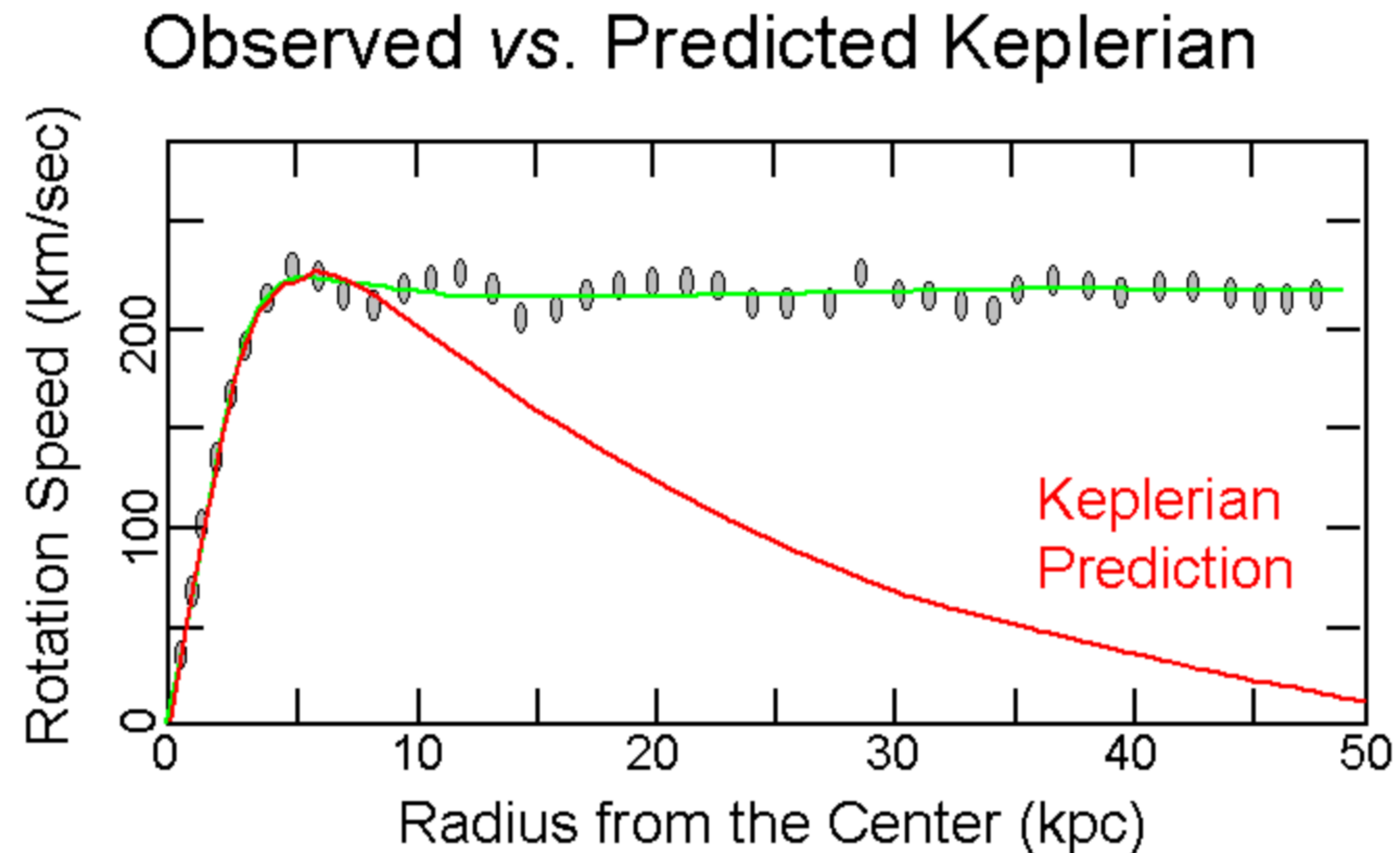
**7. Solutions beyond  $\Lambda$ CDM**

**8. Results from observational studies using alternative Dark Matter models**

**9. Outlook**

# Early Work

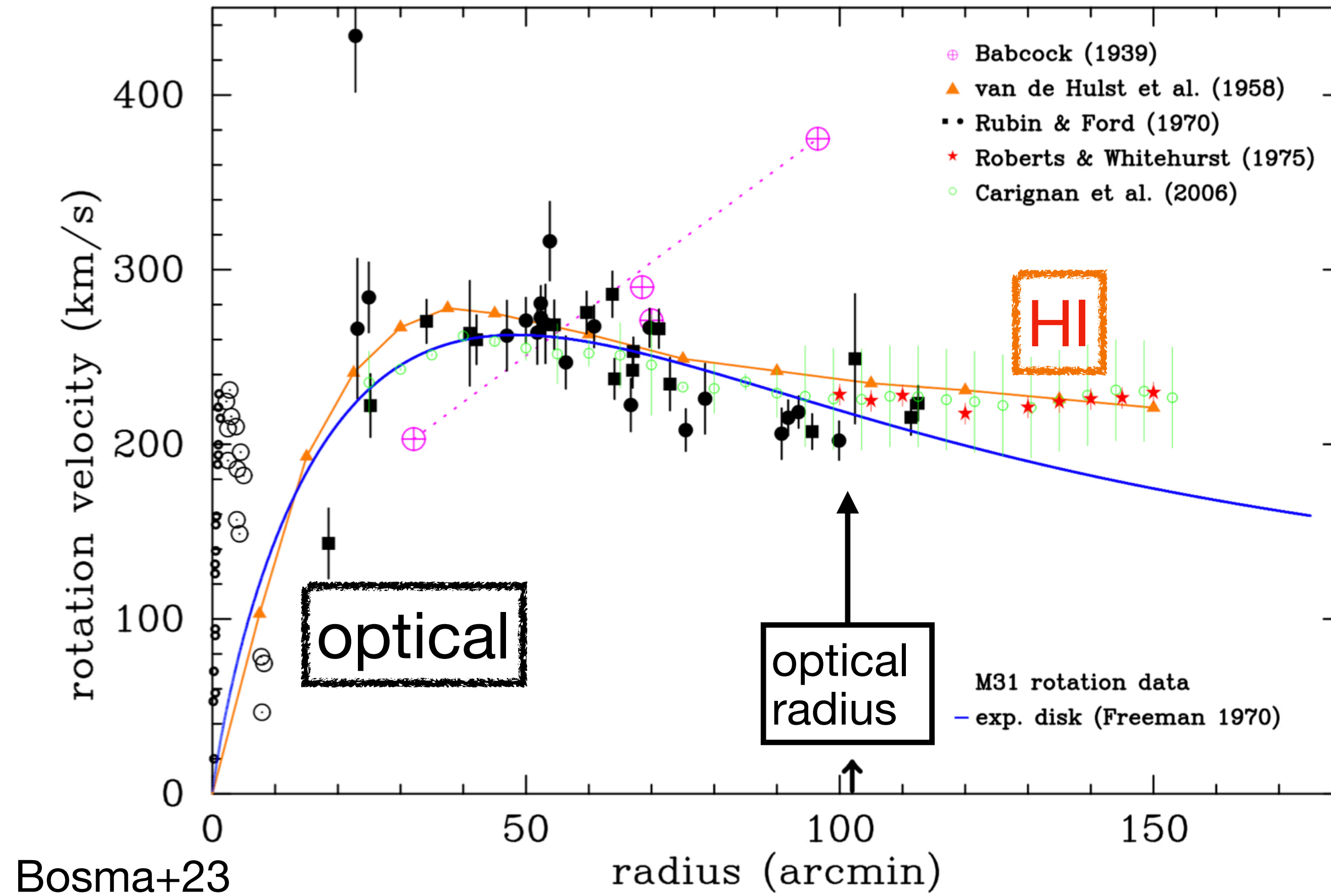
“**mass discrepancy problem**” in galaxies and cosmology has been around since ~1930 (Oort 1932 and Zwicky 1933).



► ‘**dark matter**’ entered mainstream research in ~1970 when observations revealed that galaxy rotation curves remain flat at large galactocentric distances (van de Hulst +1957, Freeman 1970, Rubin & Ford 1970)



# Early Work



rotation curves are amongst the only observables one can use to study the matter distribution on galactic scales



# Dark Matter Candidates

## Early work

- suggestions as to the identity of the unseen matter include **massive neutrinos** (Cowsik & McClelland 1972), **faint stars** (Ostriker, Peebles & Yahil 1974), **black holes** (Truran & Cameron 1971), and **comets** (Tinsley & Cameron 1974).



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## Nowadays

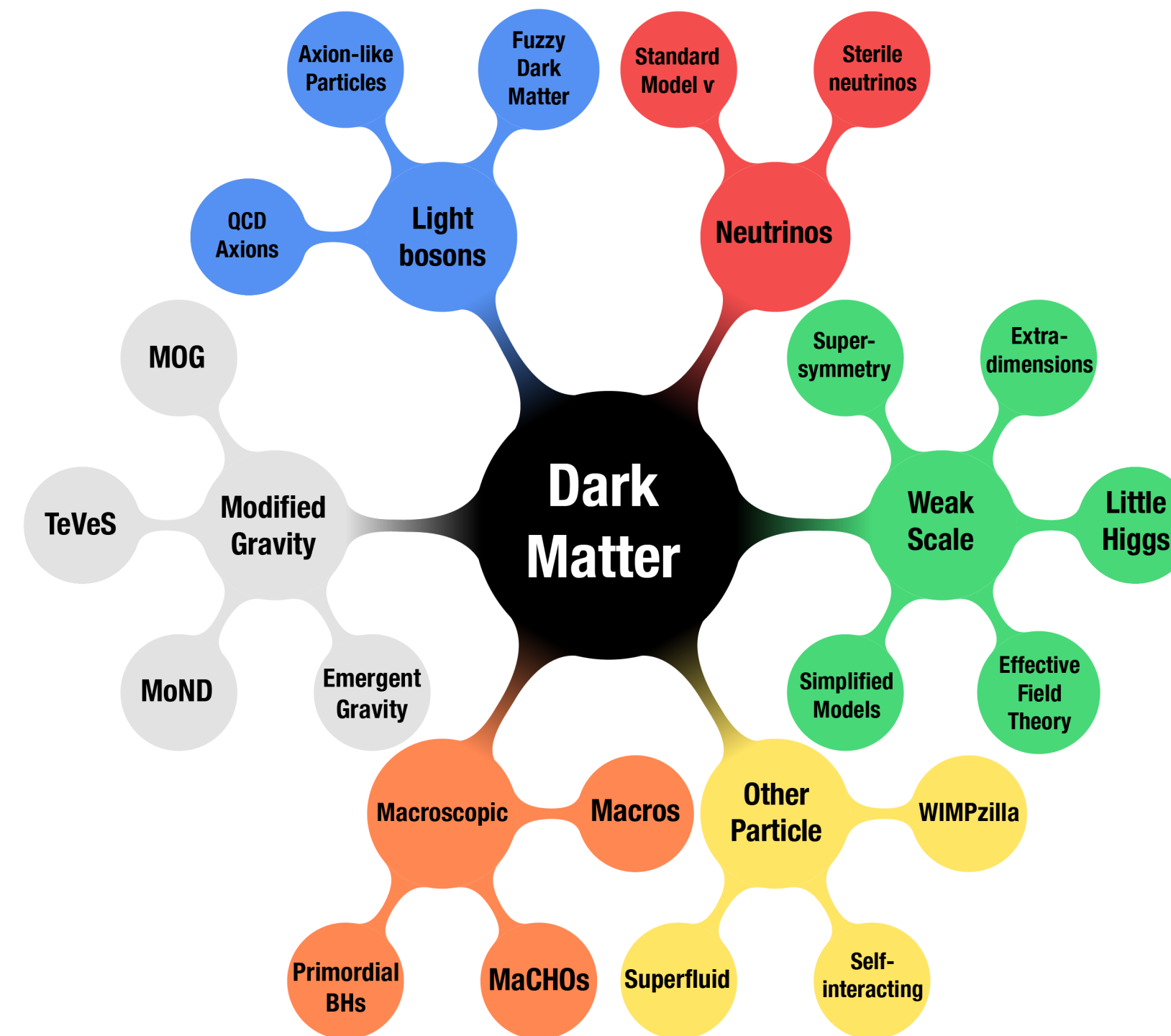


Image: Berton & Tait from [here](#)

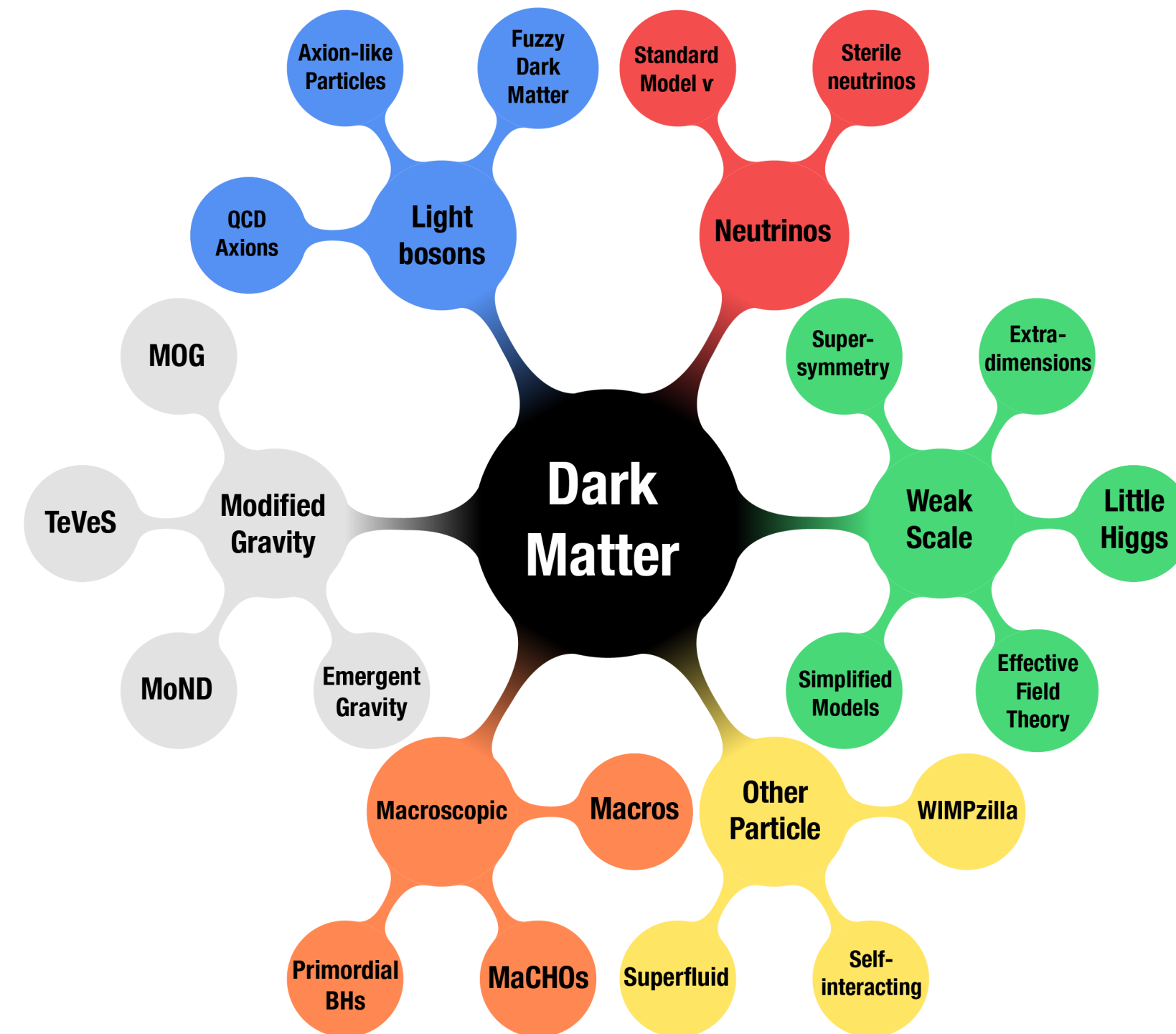


# Dark Matter Candidates

## Early work

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## Nowadays



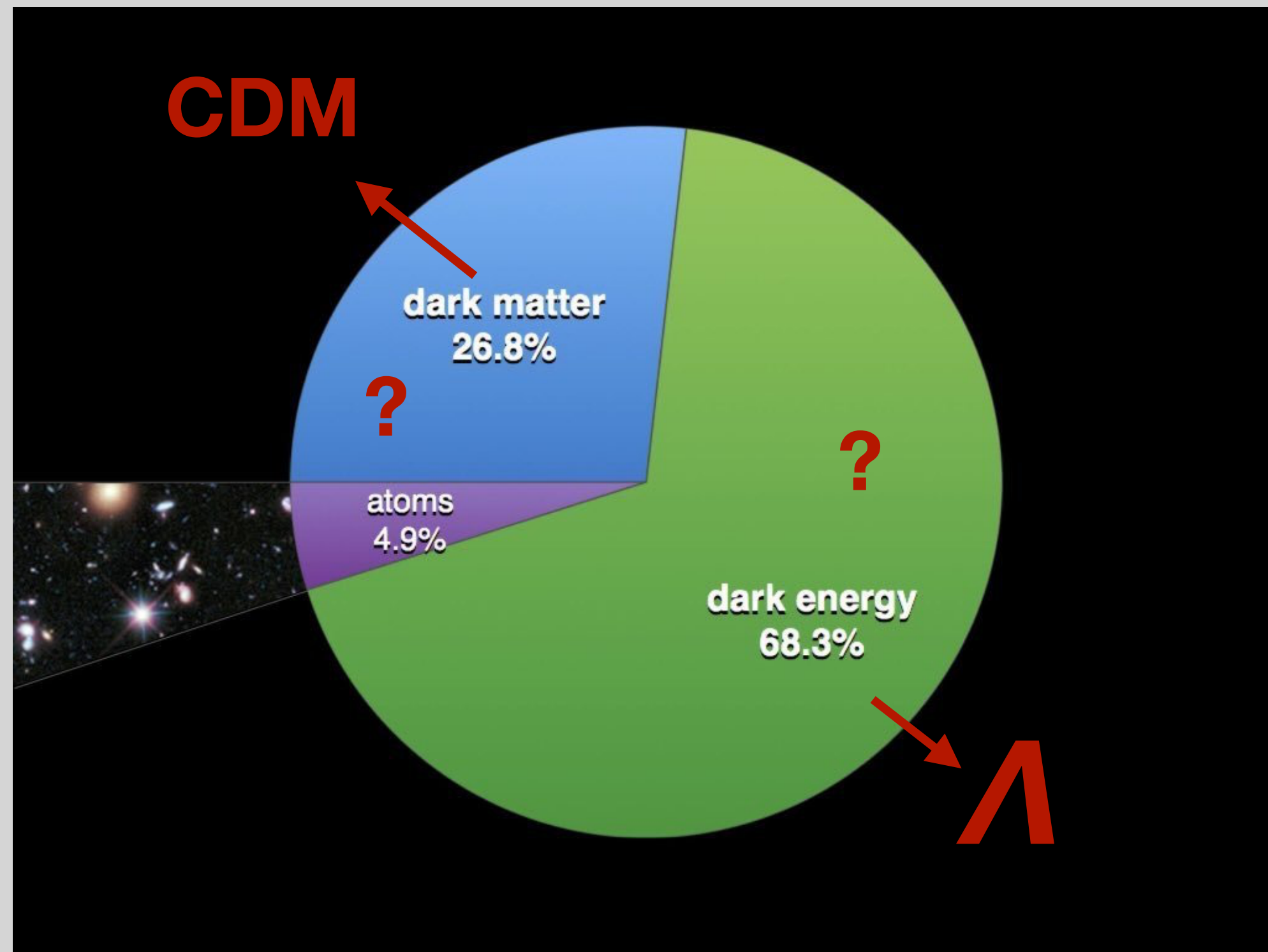
???????

Image: Berton & Tait from [here](#)



# $\Lambda$ CDM

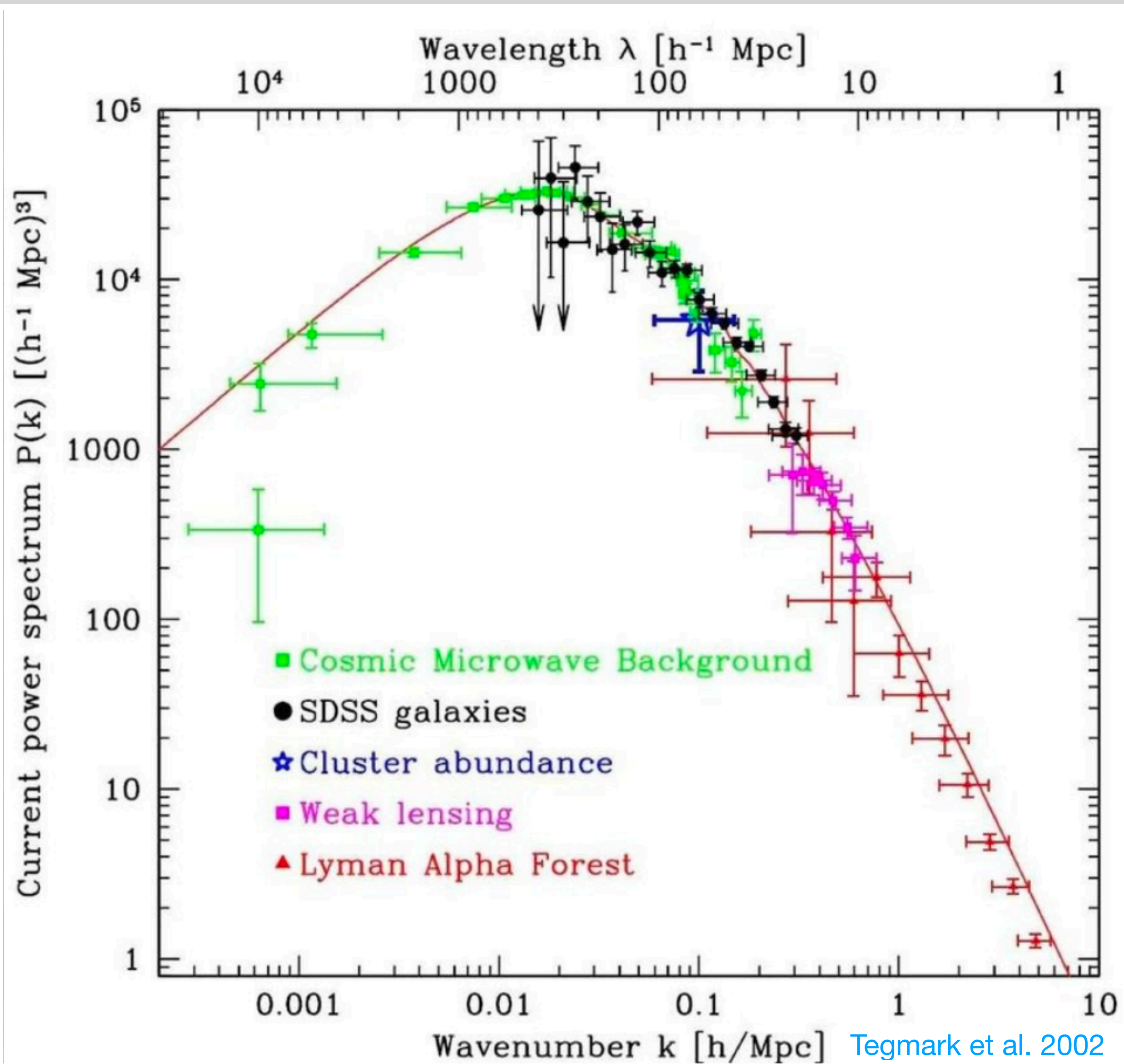
- 3 main components:



- provides a good fit to cosmological observations:
  - ➔ expansion history of the Universe as inferred from Supernovae type Ia (Riess +1998)
  - ➔ the matter power spectrum (Gil-Marín+2015)
  - ➔ the Cosmic Microwave Background data (Planck collaboration, 2020)
  - ➔ Baryon Acoustic Oscillation (Ross+2015)



# $\Lambda$ CDM



Large scales:  $\Lambda$ CDM is a big success



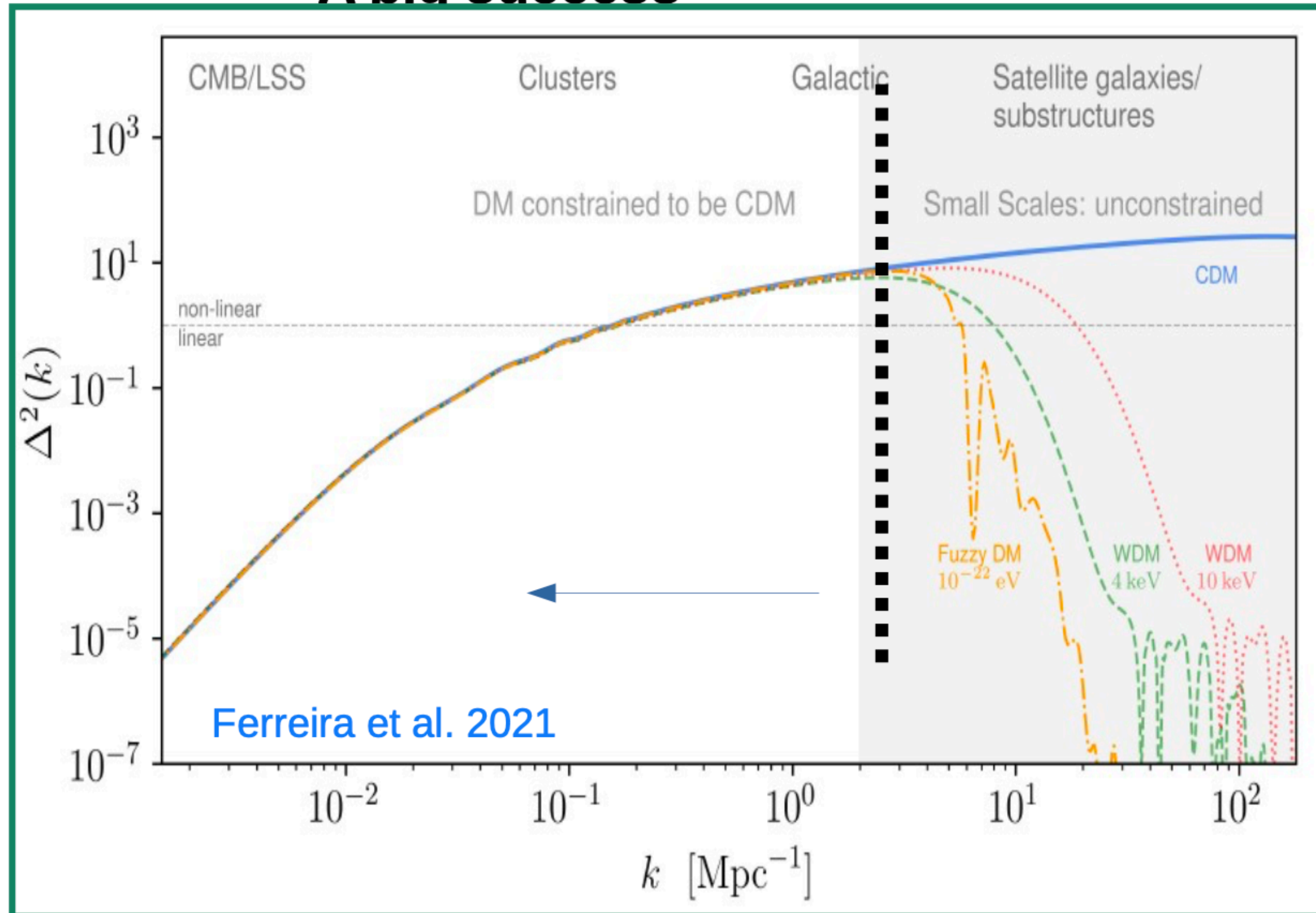
# $\Lambda$ CDM

**Large** scale ( $\gg 1$  Mpc):

**A big success**

**Small** scale ( $< 1$  Mpc):

**But baryons  
Can have an  
impact**



**Small scales: retain information about possible deviations from CDM**



On small scales: small scale problems of  $\Lambda$ CDM  
(Bullock+2017, Sales+2022)

## $\Lambda$ CDM Tensions with Dwarf Galaxies

No tension

Uncertain

Weak tension

Strong tension

Missing satellites

$M_{\star}$ - $M_{\text{halo}}$  relation

Too big to fail

Diversity of rotation curves

Core-cusp

Diversity of dwarf sizes

Satellite planes

Quiescent fractions

Sales+2022



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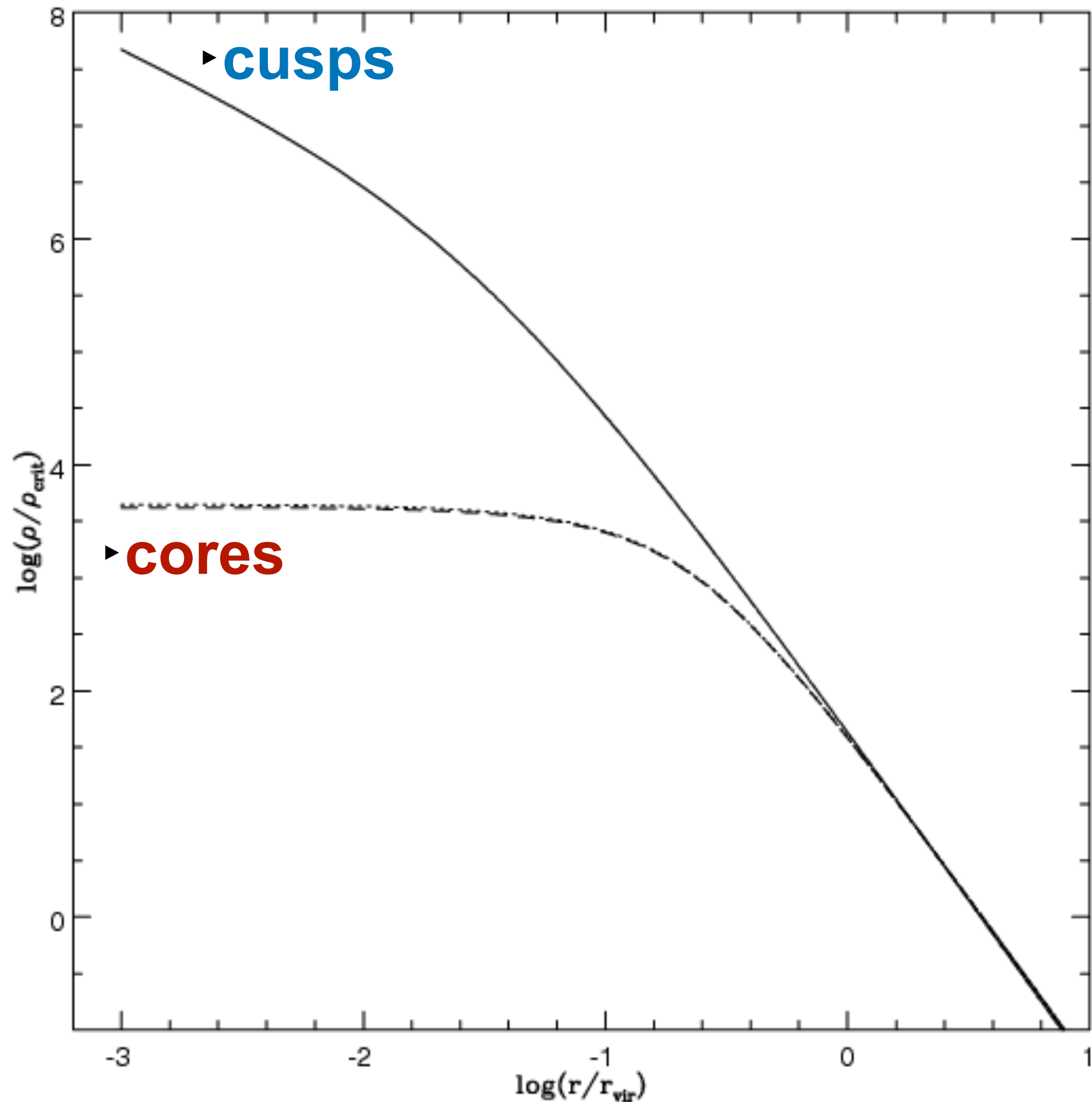
Satellite planes

Quiescent fractions

Sales+2022



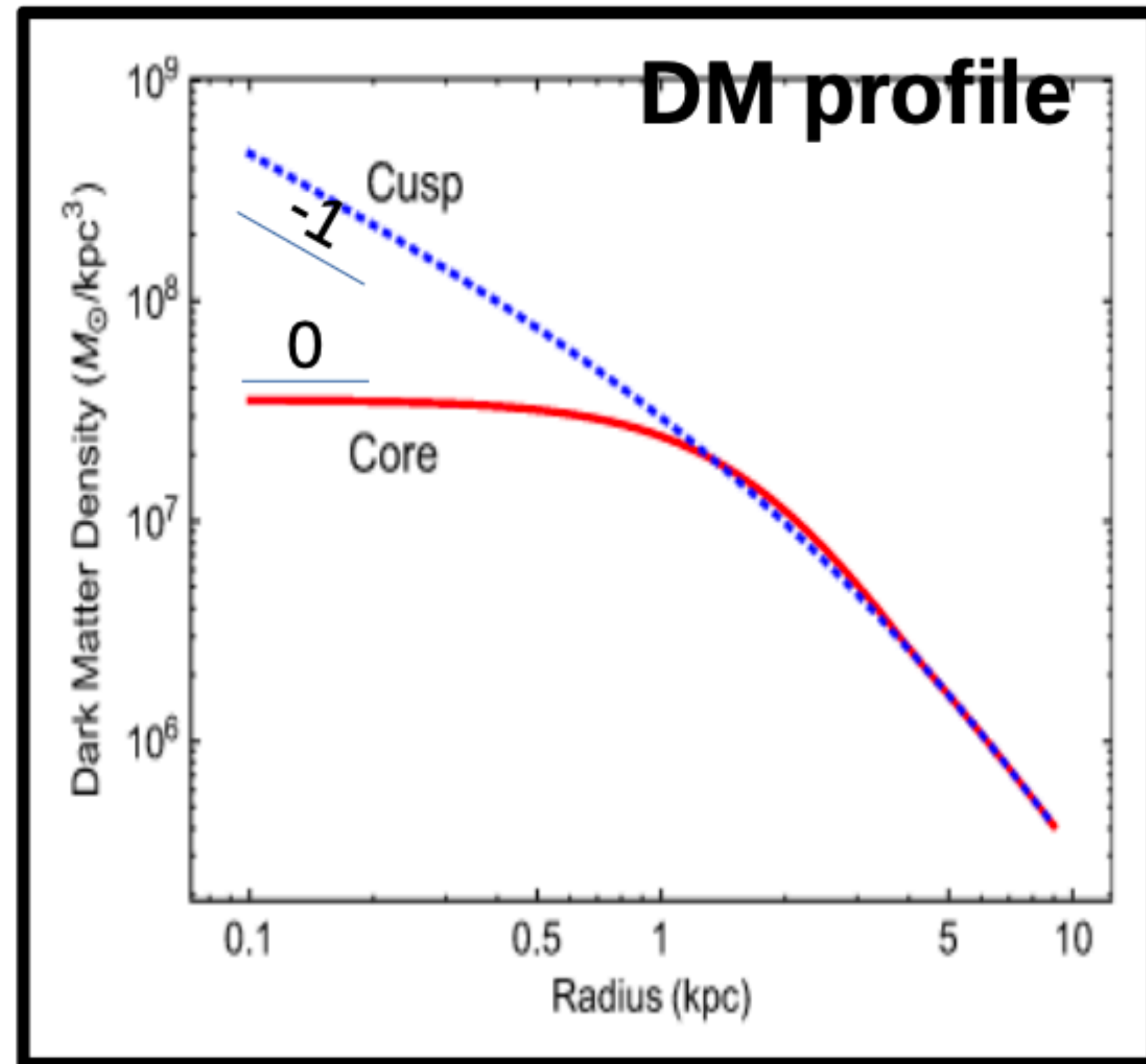
# Core - cusp problem



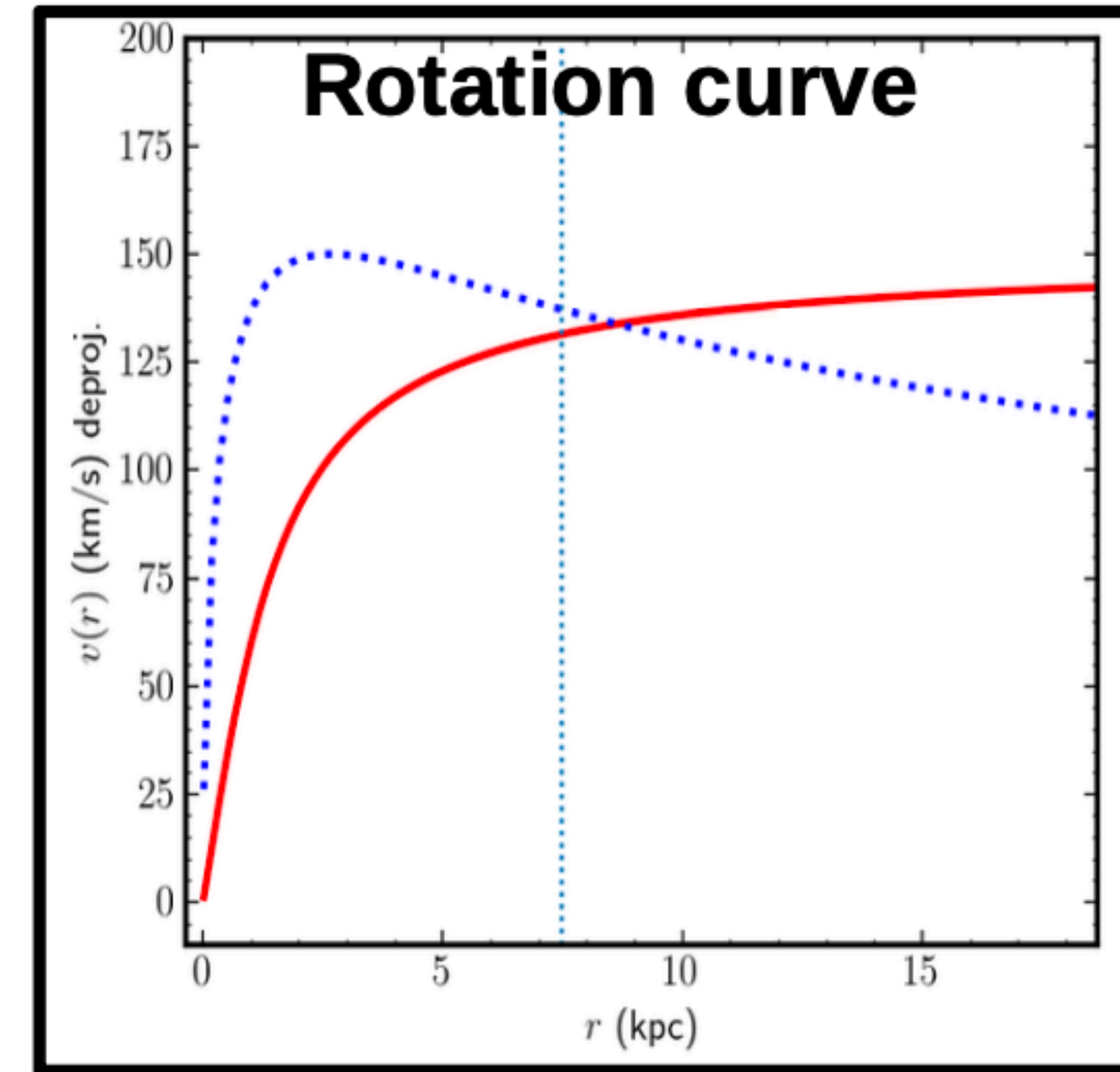
- ◆ N-body simulation predicts **cuspy** DM profiles (NFW, [Navarro+1997](#))
- ◆ Rotation curves of low-surface brightness galaxies (e.g. [de Blok et al. 2001](#)) indicate constant-density **cores**



# Core - cusp problem



$$v_c = \sqrt{\frac{GM}{r}}$$



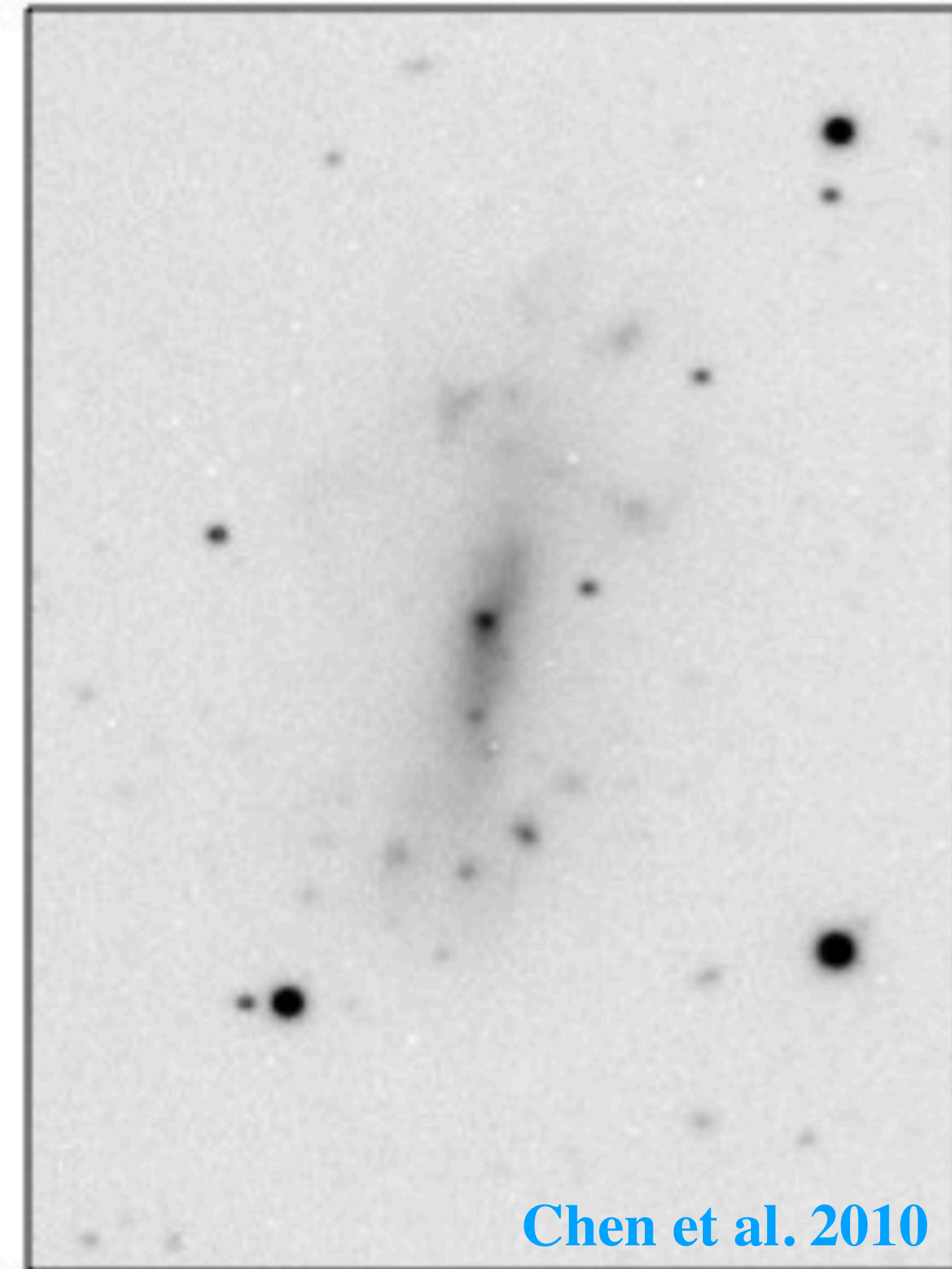
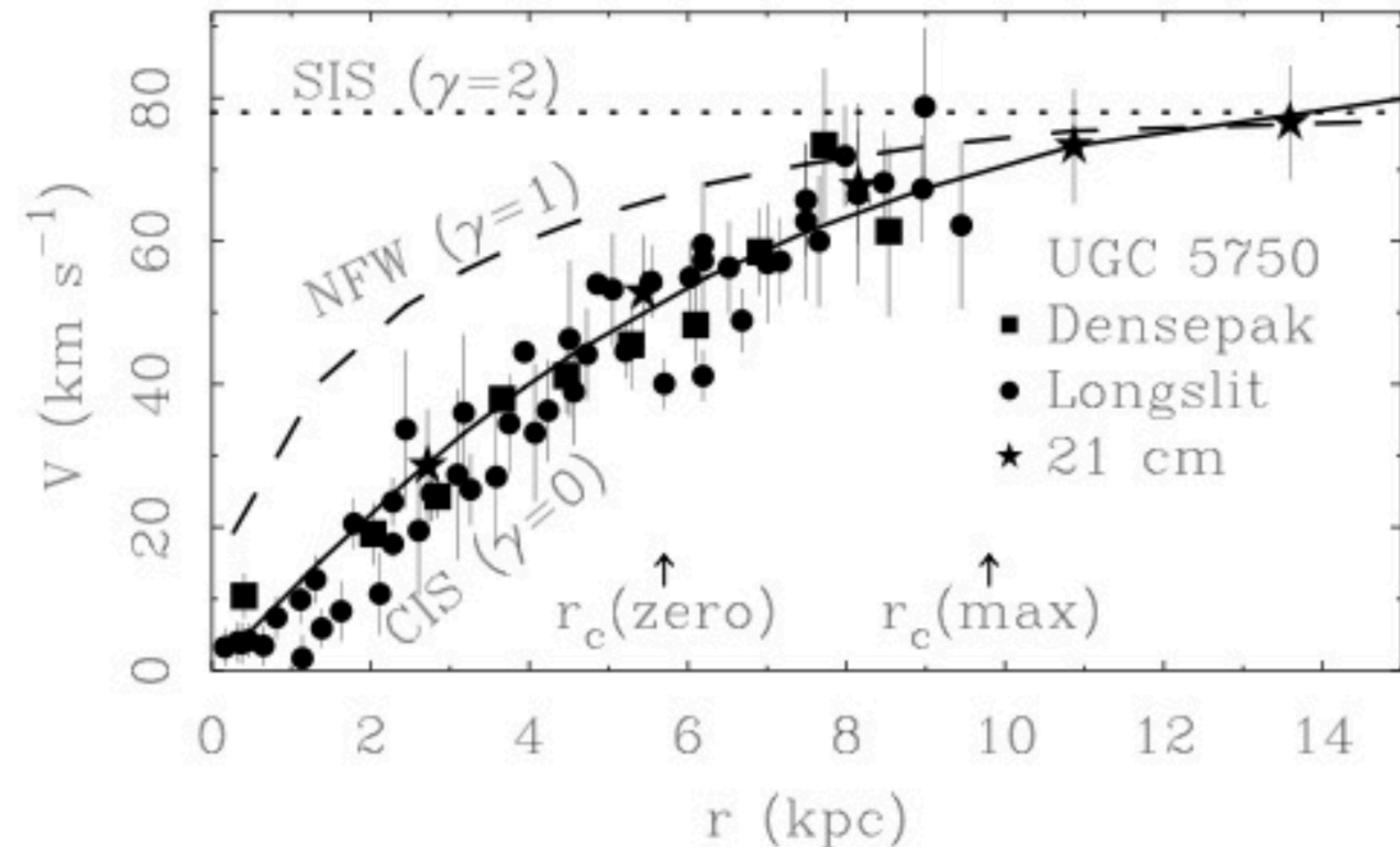
- **A core on  $<1\text{kpc}$   $\rightarrow$  impact on several kpc**

$\rightarrow$  the curvature of  $v(r)$  relates to inner DM density profiles (CDM, SIDM, FDM, WDM, etc)



# Examples:

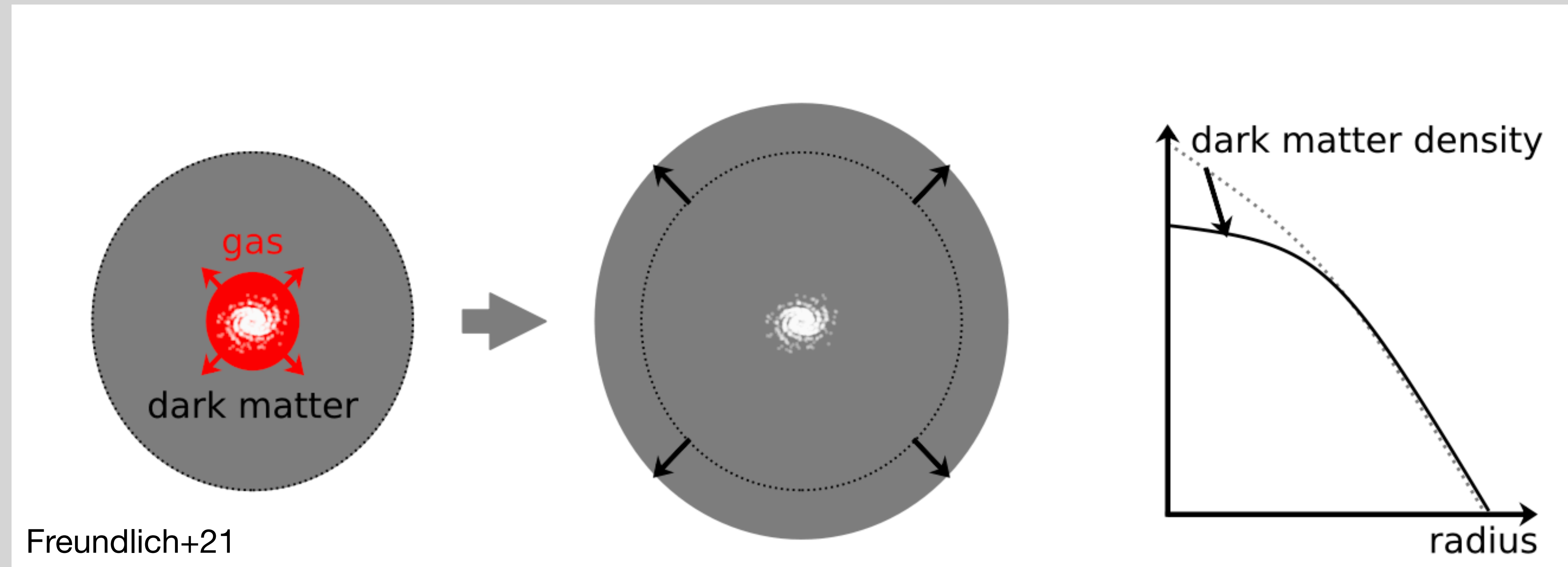
## Cored galaxy UGC5750; $z \sim 0.013$





# Core-cusp problem: solutions in $\Lambda$ CDM

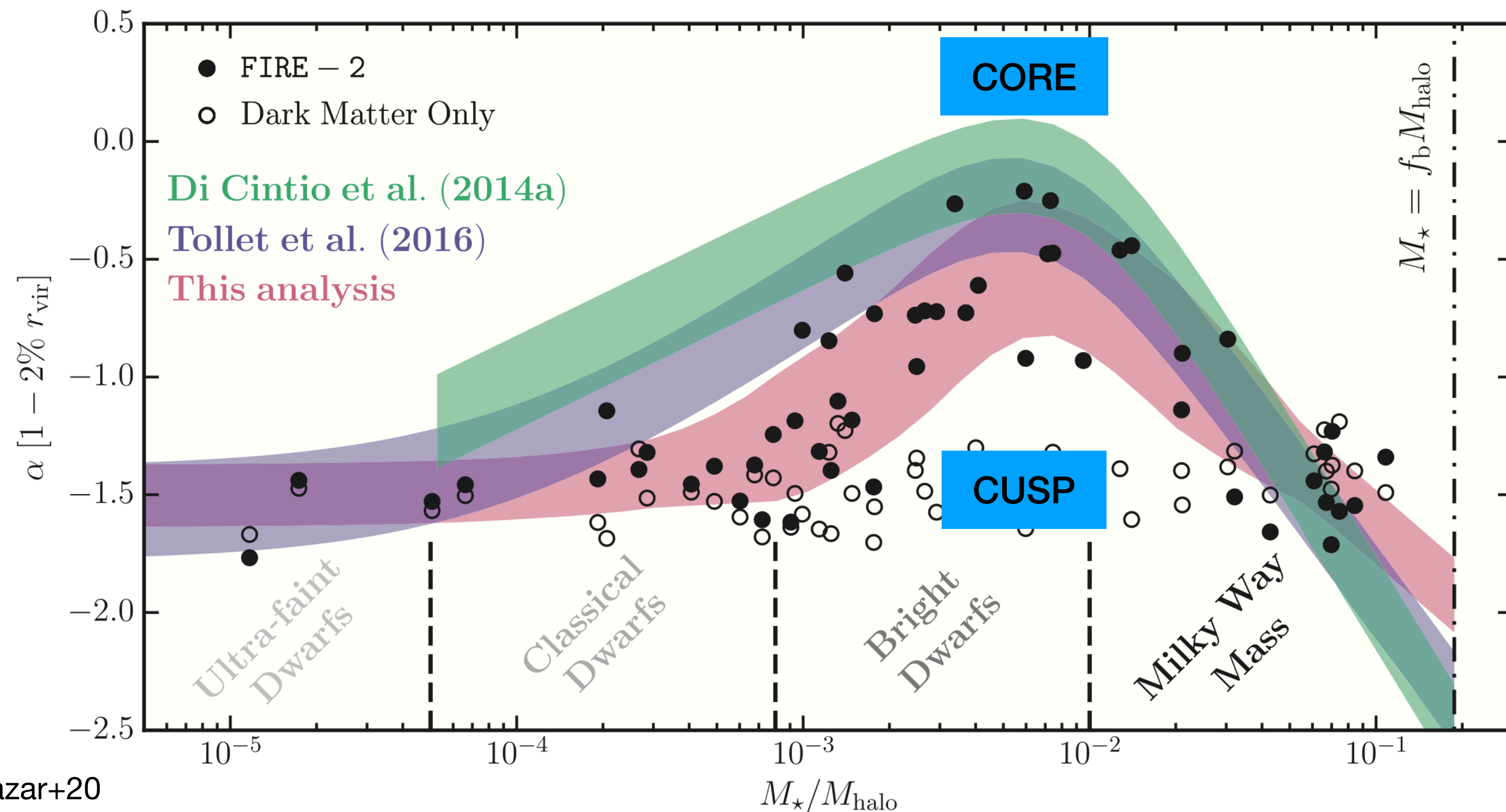
- ▶ **baryonic processes to the rescue:** stellar feedback, AGN feedback, central stellar bar, infalling clumps
- ▶ rapid potential fluctuations





# Core-cusp problem: solutions in $\Lambda$ CDM

## Hydrodynamical simulations with stellar feedback

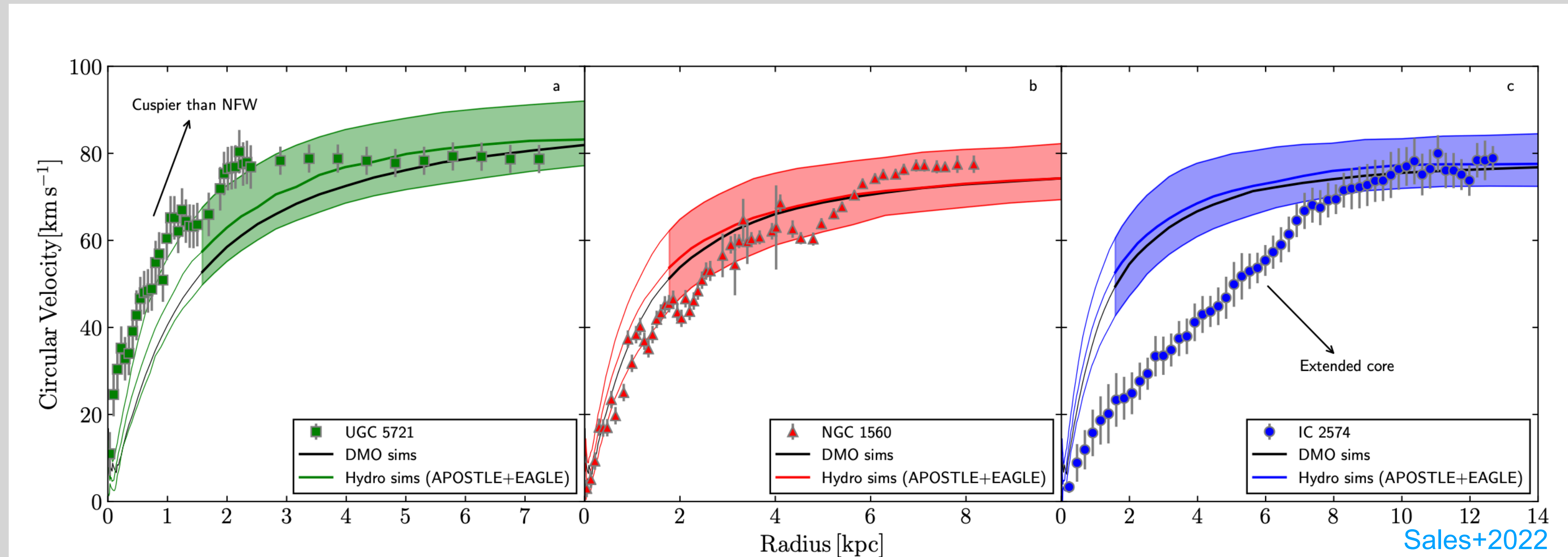


Lazar+20

► core formation most efficient for galaxies with  $9 < \log(M^*/M_{\odot}) < 10$



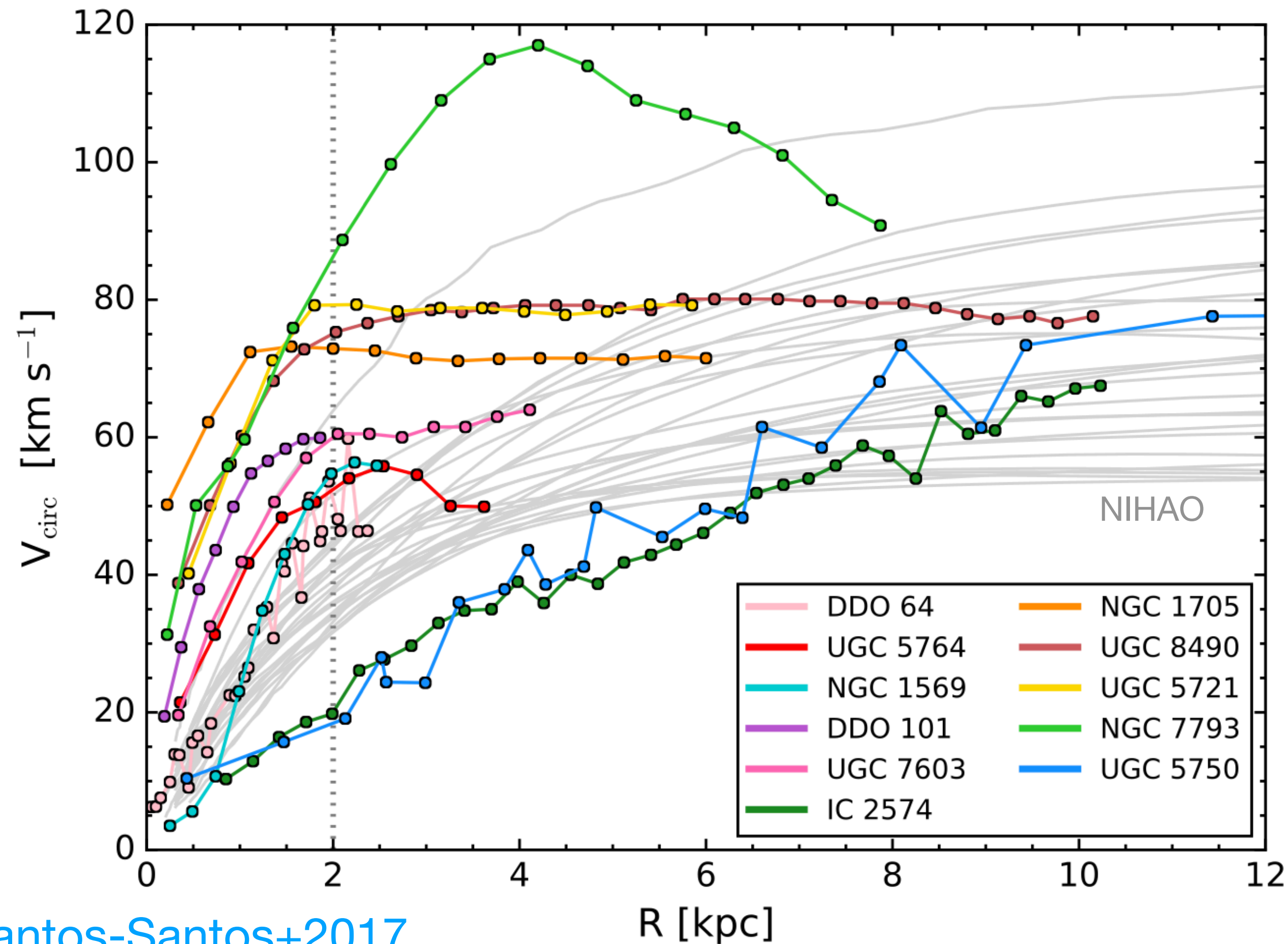
# Diversity of Rotation Curves problem:



- ▶ in dark matter only simulations, haloes have a universal **cuspy** density profile that results in self-similar rotation curve shapes
- ▶ observed dwarfs of similar masses show a large diversity in the rotation curve shapes



# Diversity of Rotation Curves: solutions in $\Lambda$ CDM



Santos-Santos+2017

► **baryonic processes to the rescue**

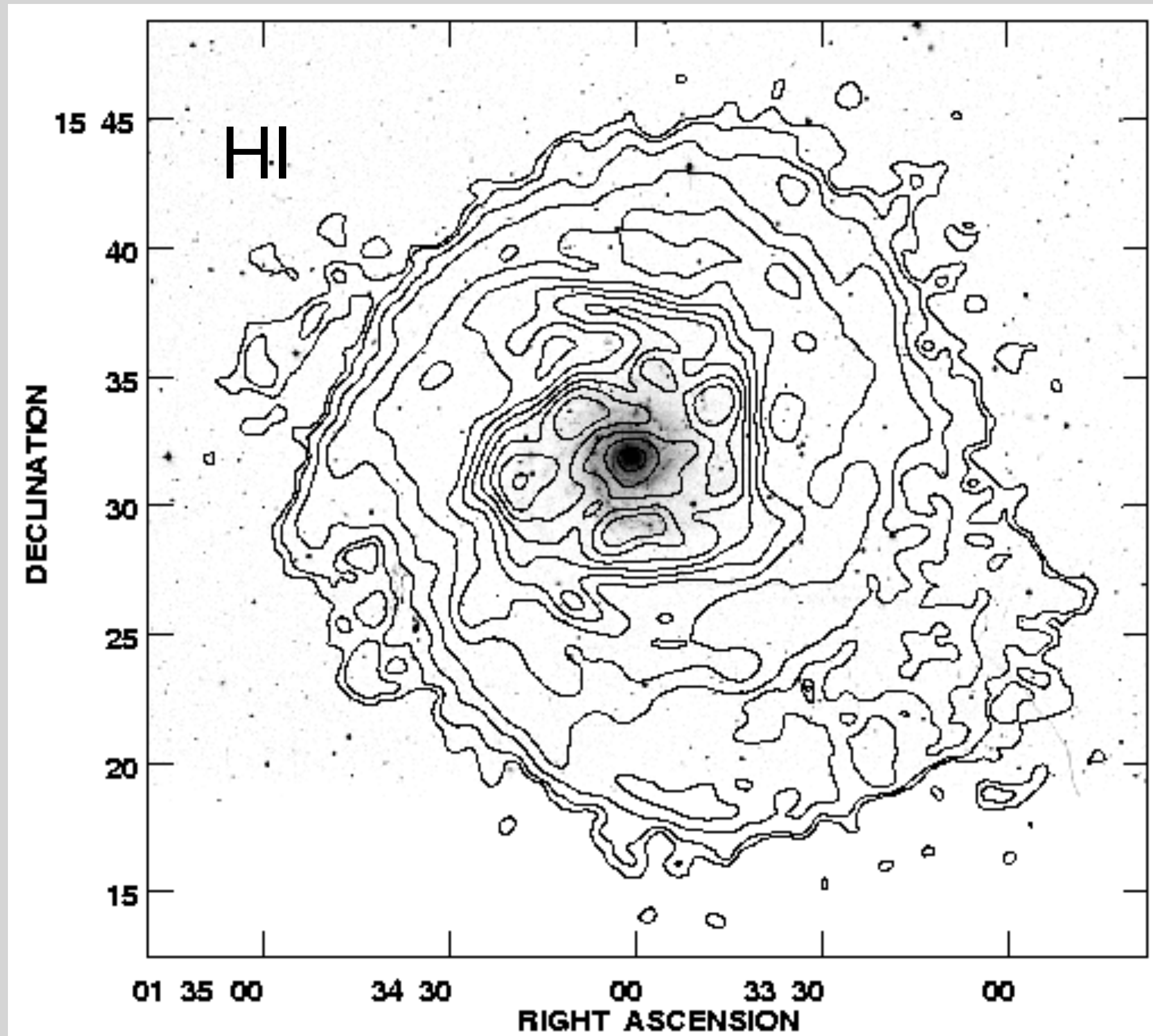
► Some hydrodynamical  **$\Lambda$ CDM** simulations ~reproduce the observed diversity



# How to test this observationally?

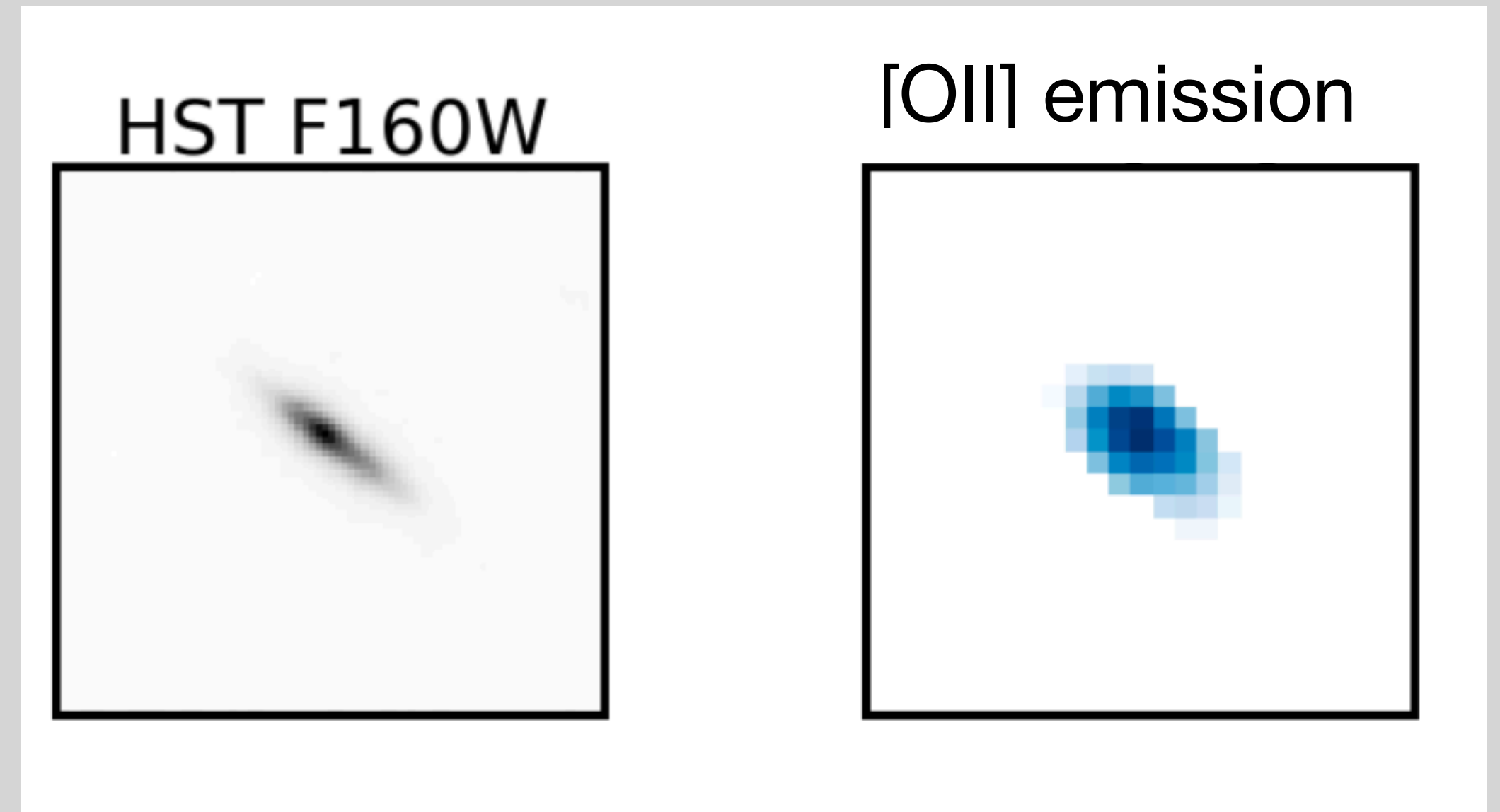
► Need a kinematic tracer at large galactocentric radii, beyond  $2xR_e$

$z=0$



Kamphuis and Briggs 1992

$z \sim 1$



optical



# How to test this observationally?

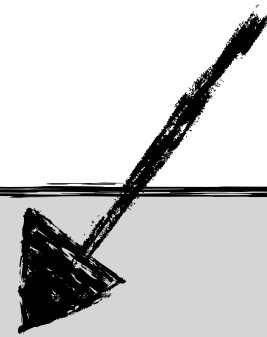
- ▶ Need a kinematic tracer at large galactocentric radii, beyond  $2xR_e$
- ▶ Precise determination of the rotation curves, from the innermost to the outermost parts of galaxy discs



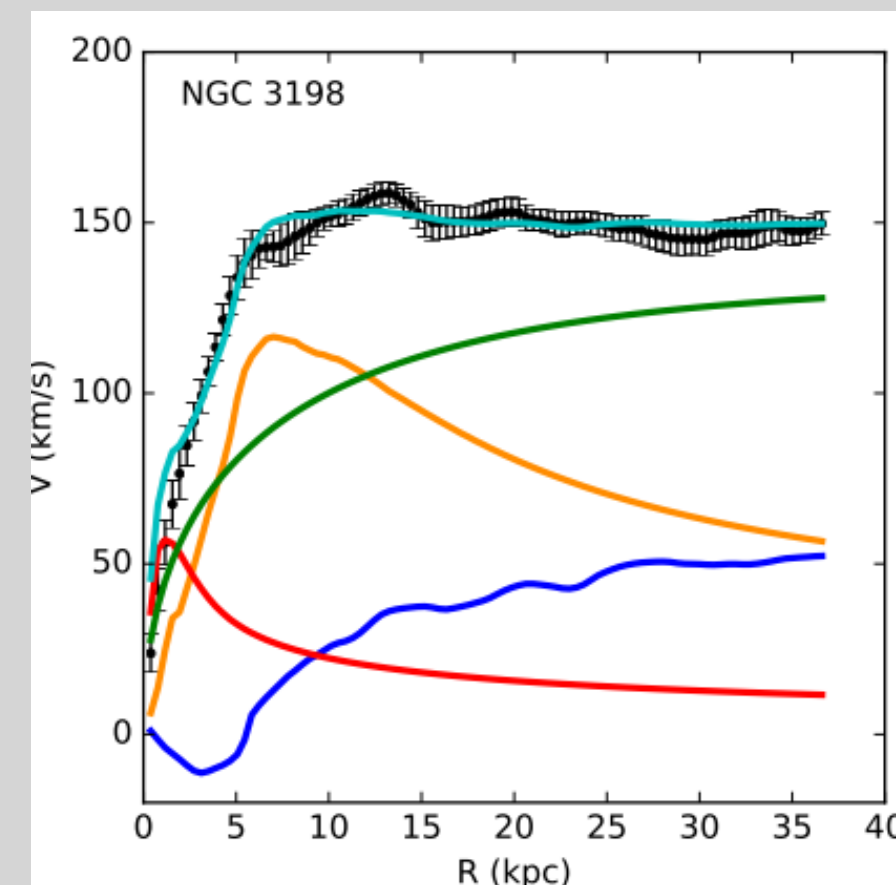
# Using 1D methods for disk-halo decomposition:

**Tilted ring method** (e.g. Rogstad, Lockhart & Wright 1974, Schoenmakers 1999, Simon et al. 2003, Krajnović et al. 2006, Spekkens & Sellwood 2007; Sellwood & Sánchez 2010, Di Teodoro et al. 2015):

- ▶ **Assumptions:** the galaxy's gas is confined to a series of concentric rings, each with its own orientation and rotational velocity
- ▶ **Fitting the Velocity Field:** for each ring at radius  $r$ , fit for rotational velocity, inclination, position angle
- ▶ **Reconstructing the Rotation Curve:** the rotation curve is extracted from the fitted rotational velocities  $V(r)$  for each ring



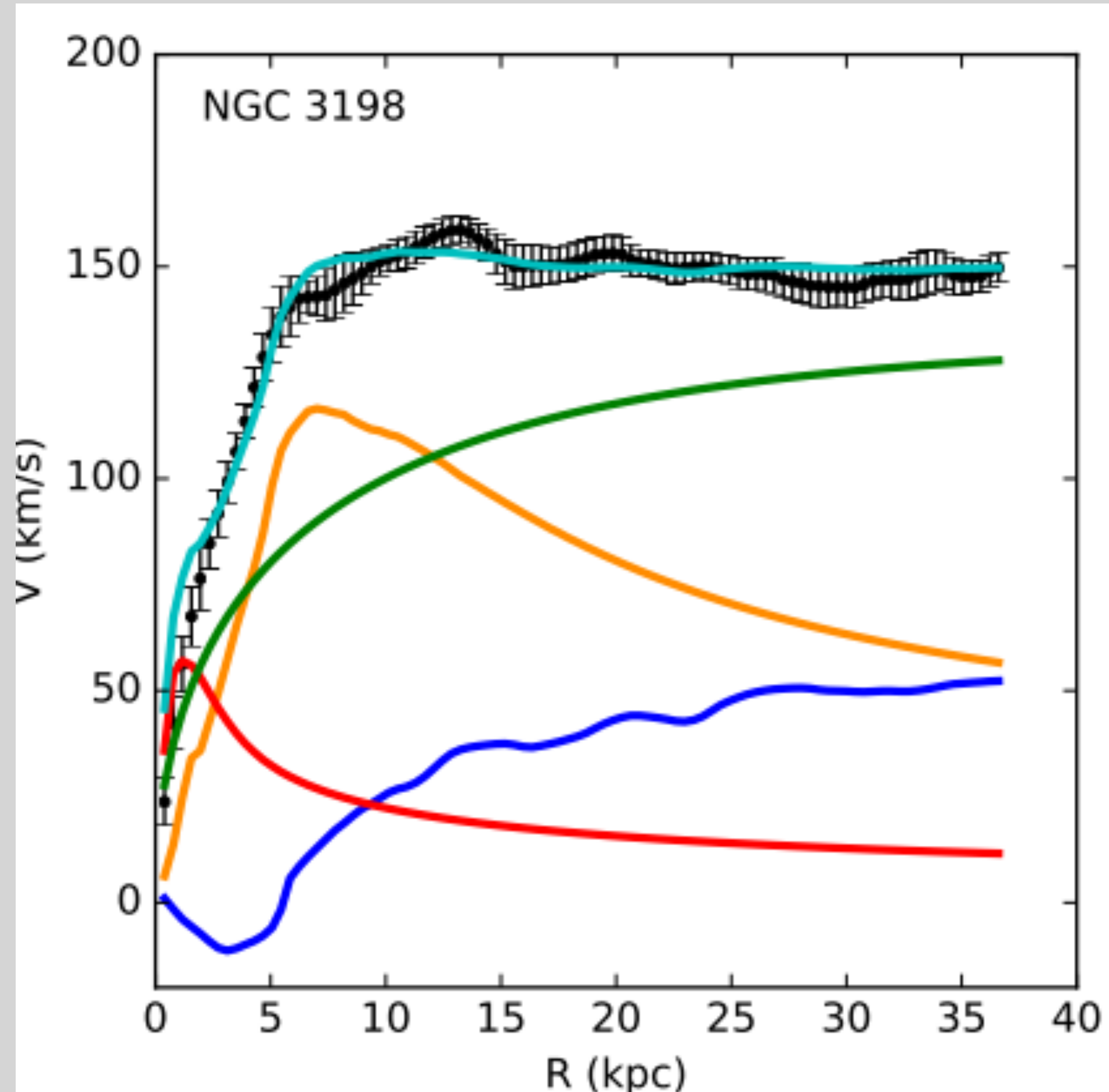
**The resulting 1D rotation curve is used for the decomposition**





# How to test this observationally at $z > 0$ ?

► At  $z=0$ : « easy » ?



► At  $z=1$ : « hard » ?

- Galaxies have small angular sizes
- Outer disks are too faint



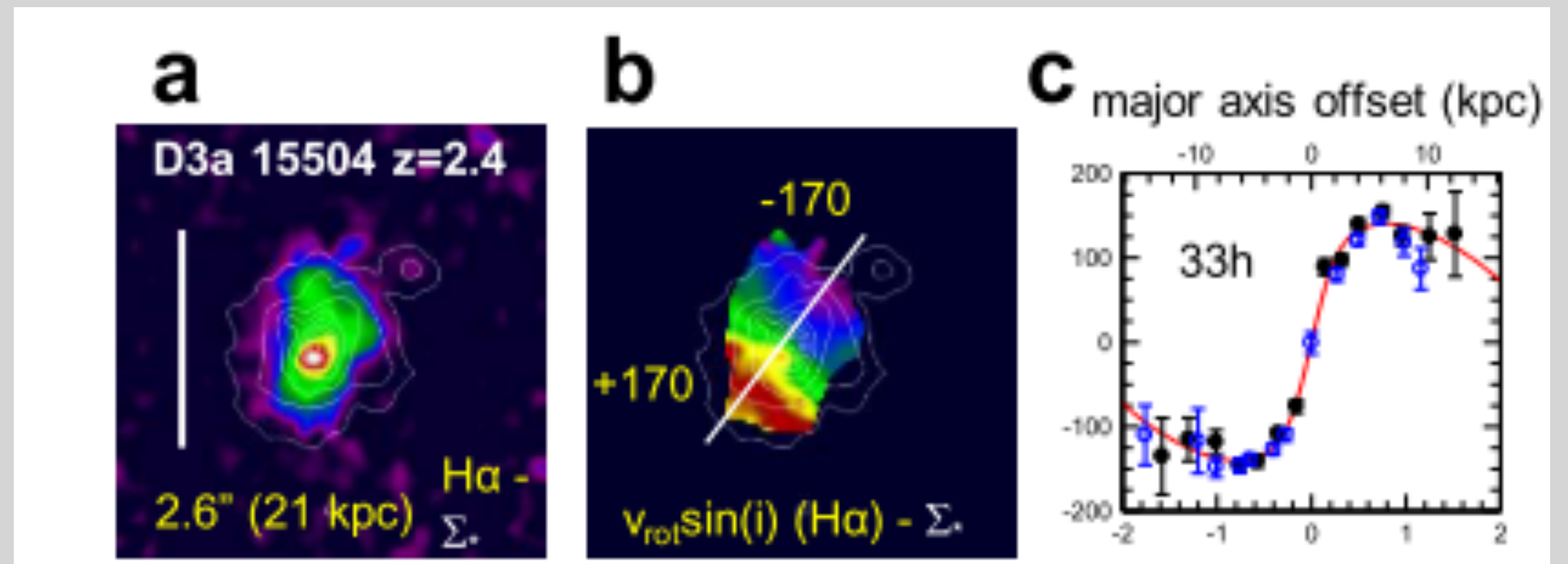
# How to test this observationally at $z > 0$ ?

There are only 3 options:

► At  $z=1$ : « hard » ?

- Galaxies have small angular sizes
- Outer disks are too faint

1. Using deep observations (10h-40h exposure times)



Genzel +17



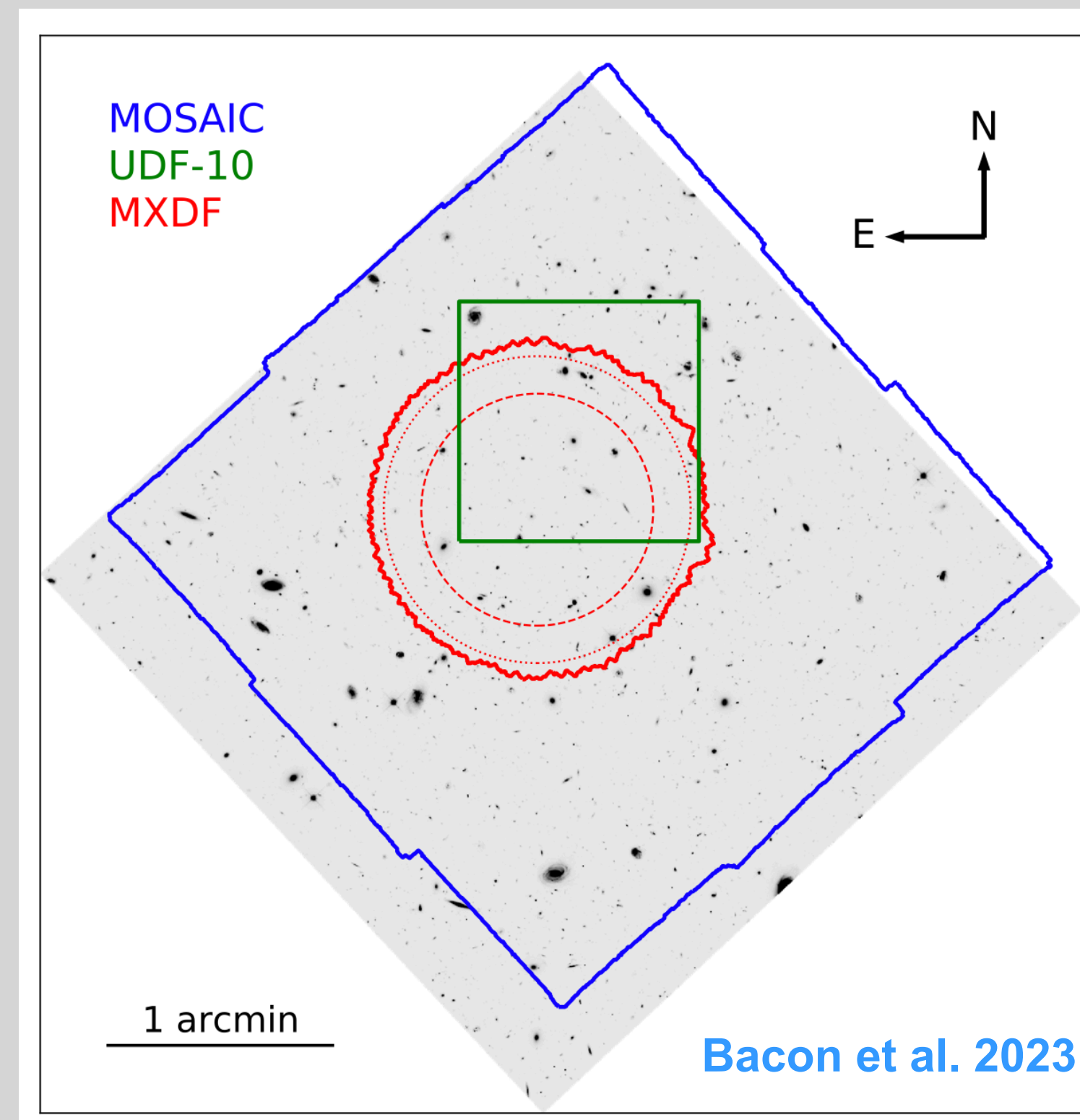
# How to test this observationally at $z > 0$ ?

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**There are only 3 options:**

1. Using deep observations (10h-40h exposure times)
2. Using very deep observations (140h exposure times)





# How to test this observationally at $z > 0$ ?

► At  $z=1$ : « hard » ?

- Galaxies have small angular sizes
- Outer disks are too faint

**There are only 3 options:**

1. Using deep observations (10h-40h exposure times)
2. Using very deep observations (140h exposure times)
3. Use all information available (3D forward modelling)



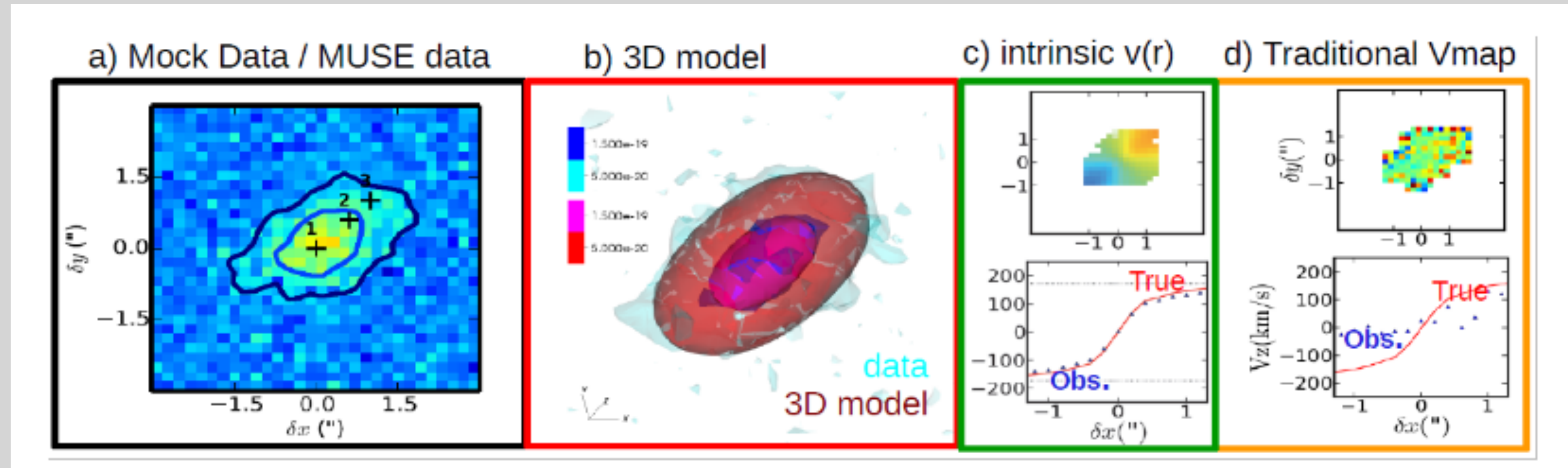
**Bouché et al. 2015**



# Using 3D forward modelling for disk-halo decomposition



Bouché et al. 2015



❖ Compares 3D parametric models directly to the IFU data-cube, taking into account the LSF and PSF

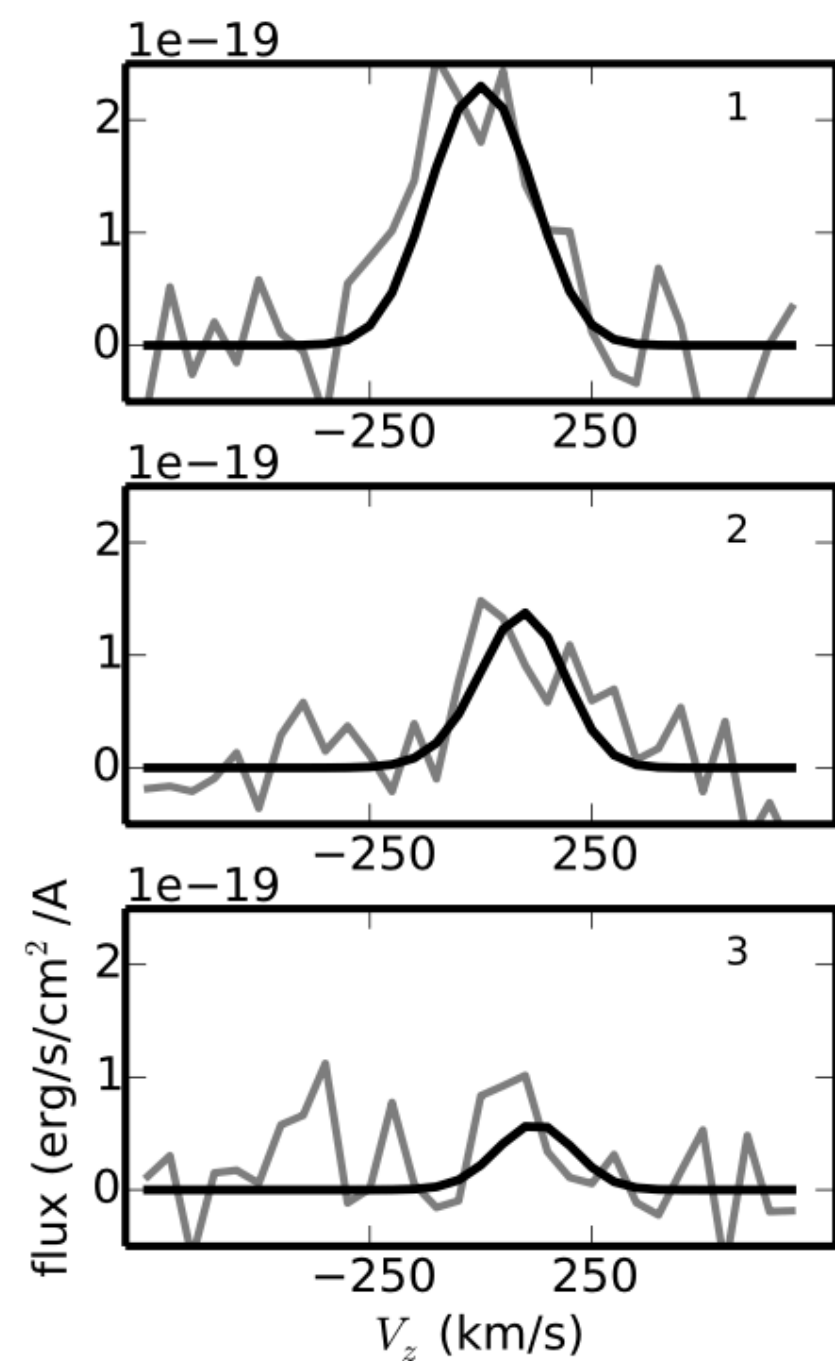
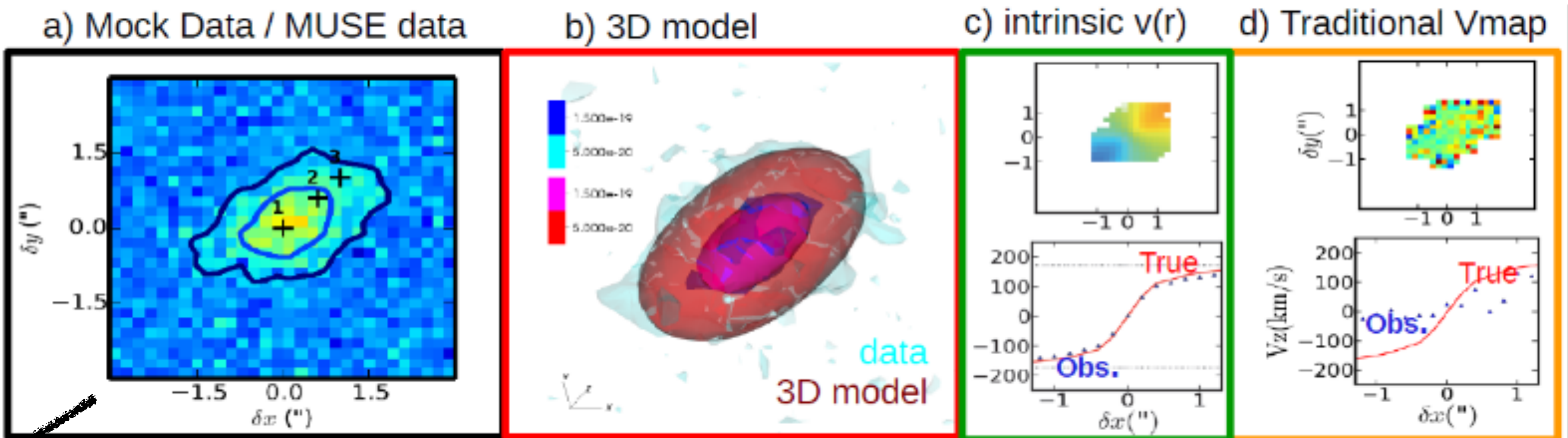
❖ Primary assumption: axisymmetric disk



# Using 3D forward modelling for disk-halo decomposition



Bouché et al. 2015



## Advantages :

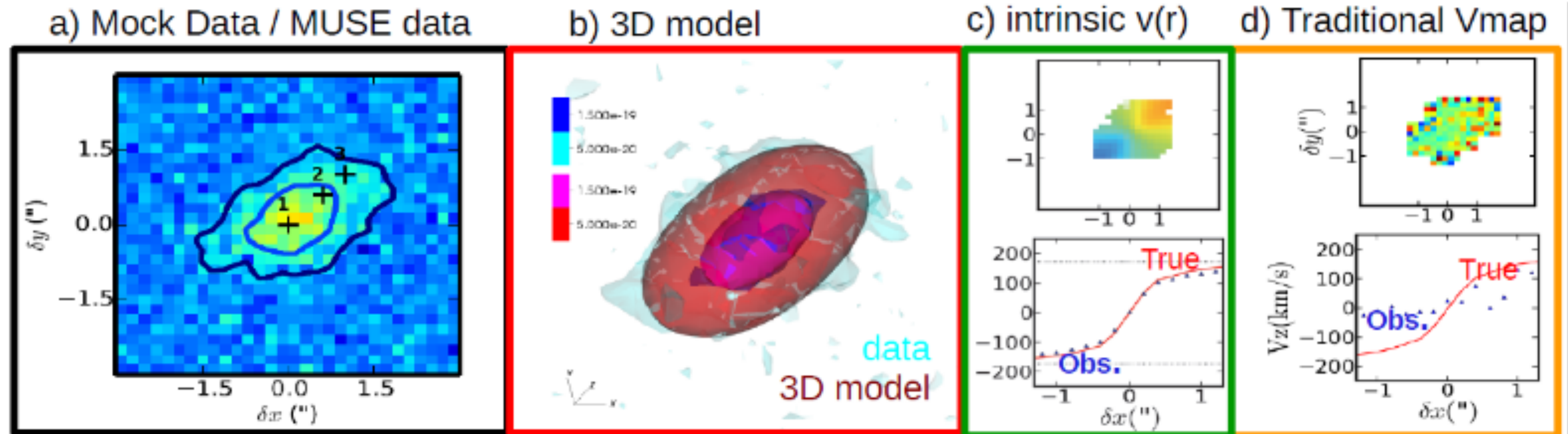
- ◆ Morpho-kinematics yielded simultaneously
- ◆ yields intrinsic parameters (by taking into account LSF & PSF)
- ◆ Works on all spaxels
- ◆ Well suited for low S/N regime [good for  $R > R_e$ ]
- ◆ Breaks inclination- $V_{\text{max}}$  degeneracy
- ◆ Flexible parametric models & MCMC



# Using 3D forward modelling for disk-halo decomposition



Bouché et al. 2015



## Compare to state-of-the-art :

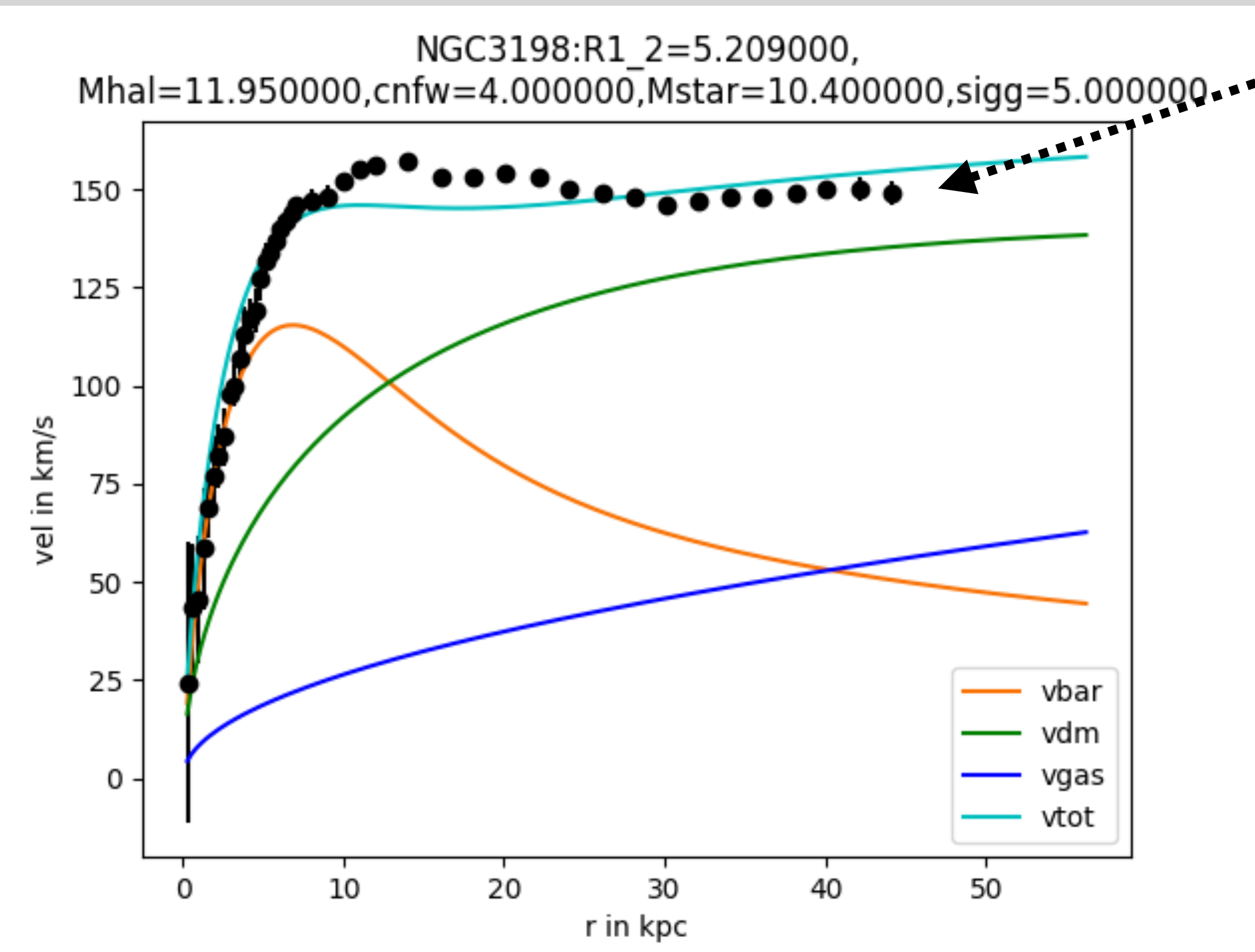
- ◆ 3D method (vs. 1D)
- ◆ No priors ( $M^*$ , inclination)
- ◆ computes the likelihood directly on the 3D data giving us thousands of degrees of freedom



# Using 3D forward modelling: Under the hood



Bouché et al. 2015



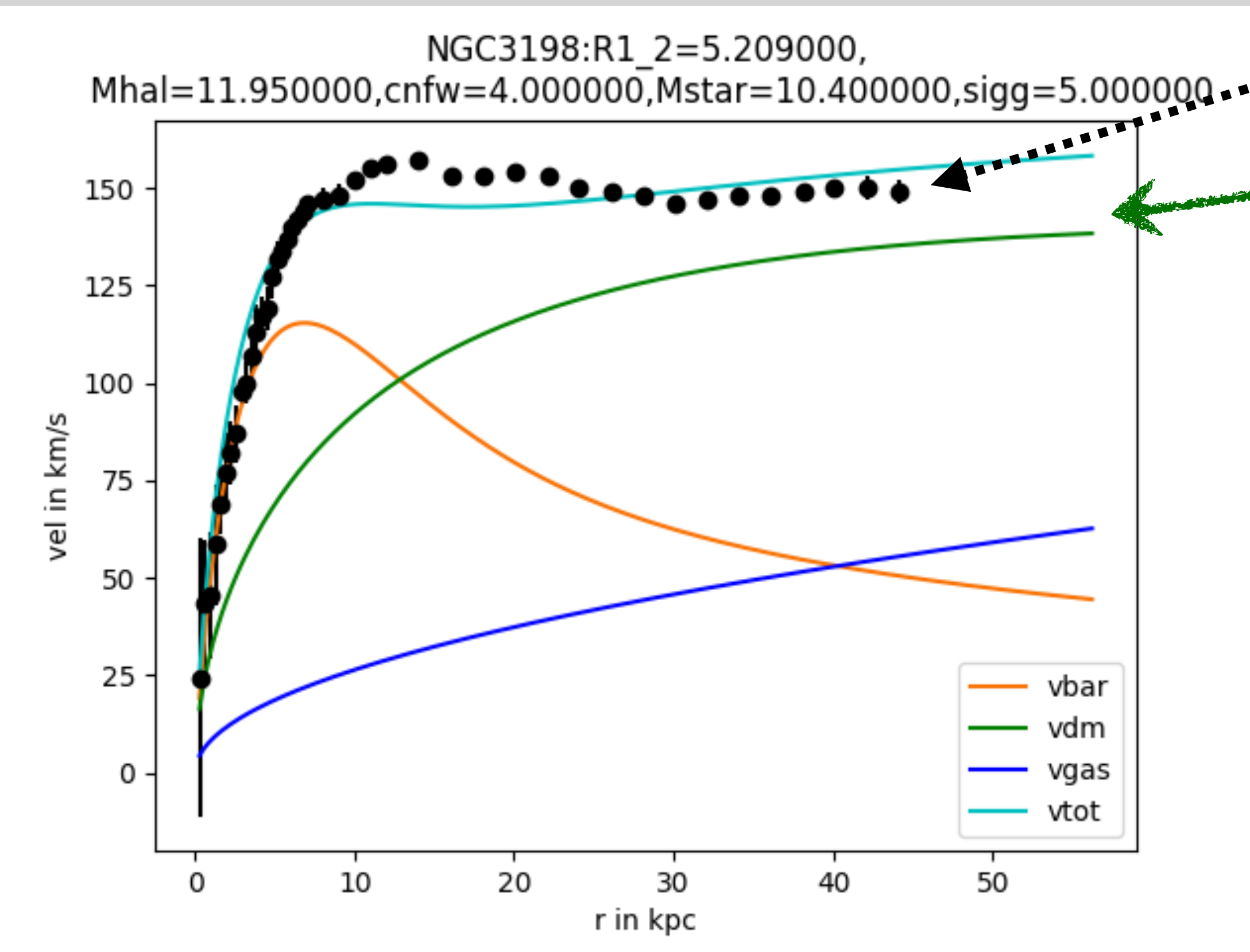
$$v_c(r)^2 = v_{DM}(r)^2 + v_{disk}(r)^2 + v_{HI}(r)^2$$



# Using 3D forward modelling: Under the hood



Bouché et al. 2015



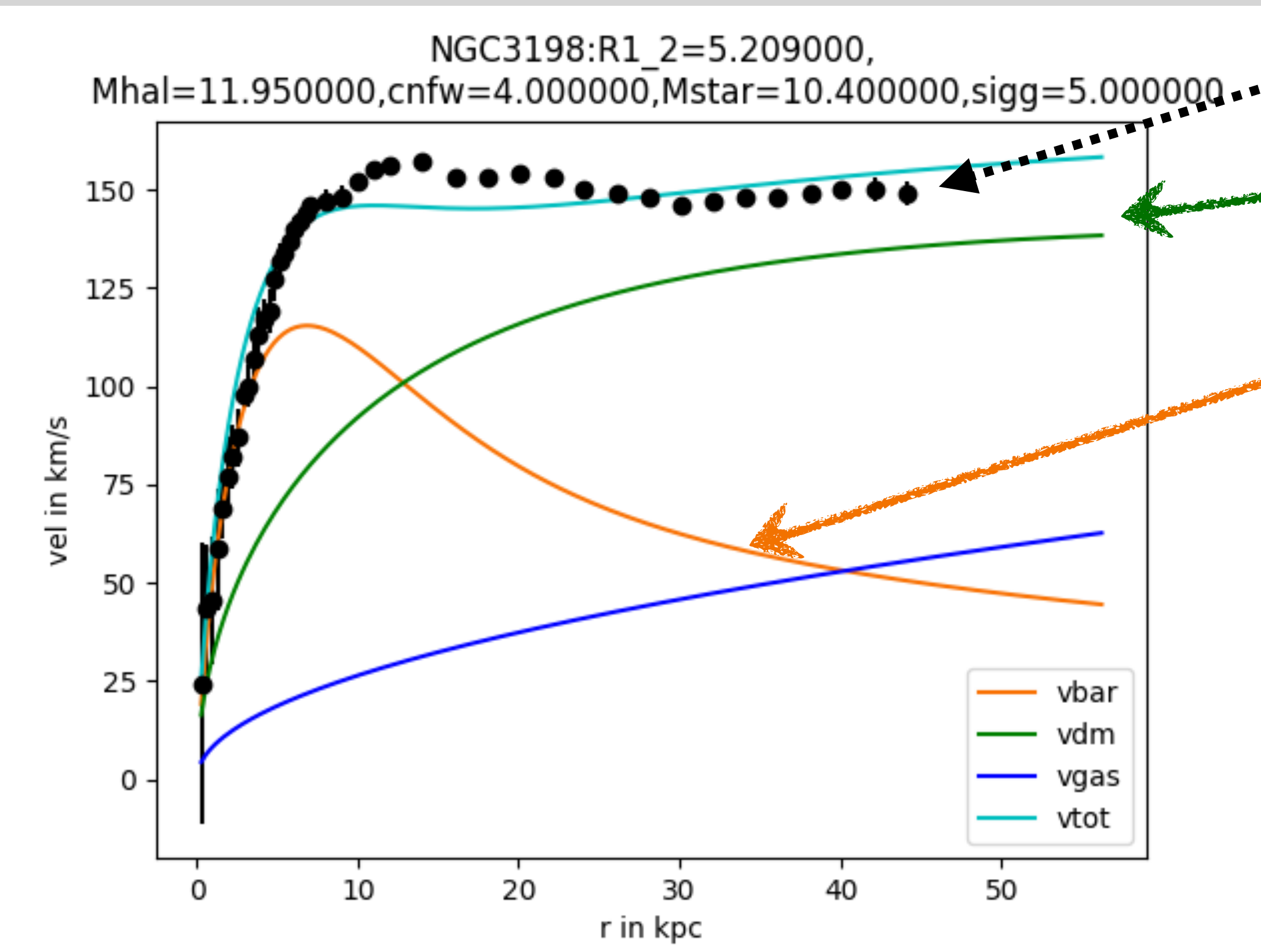
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Bouché et al. 2015



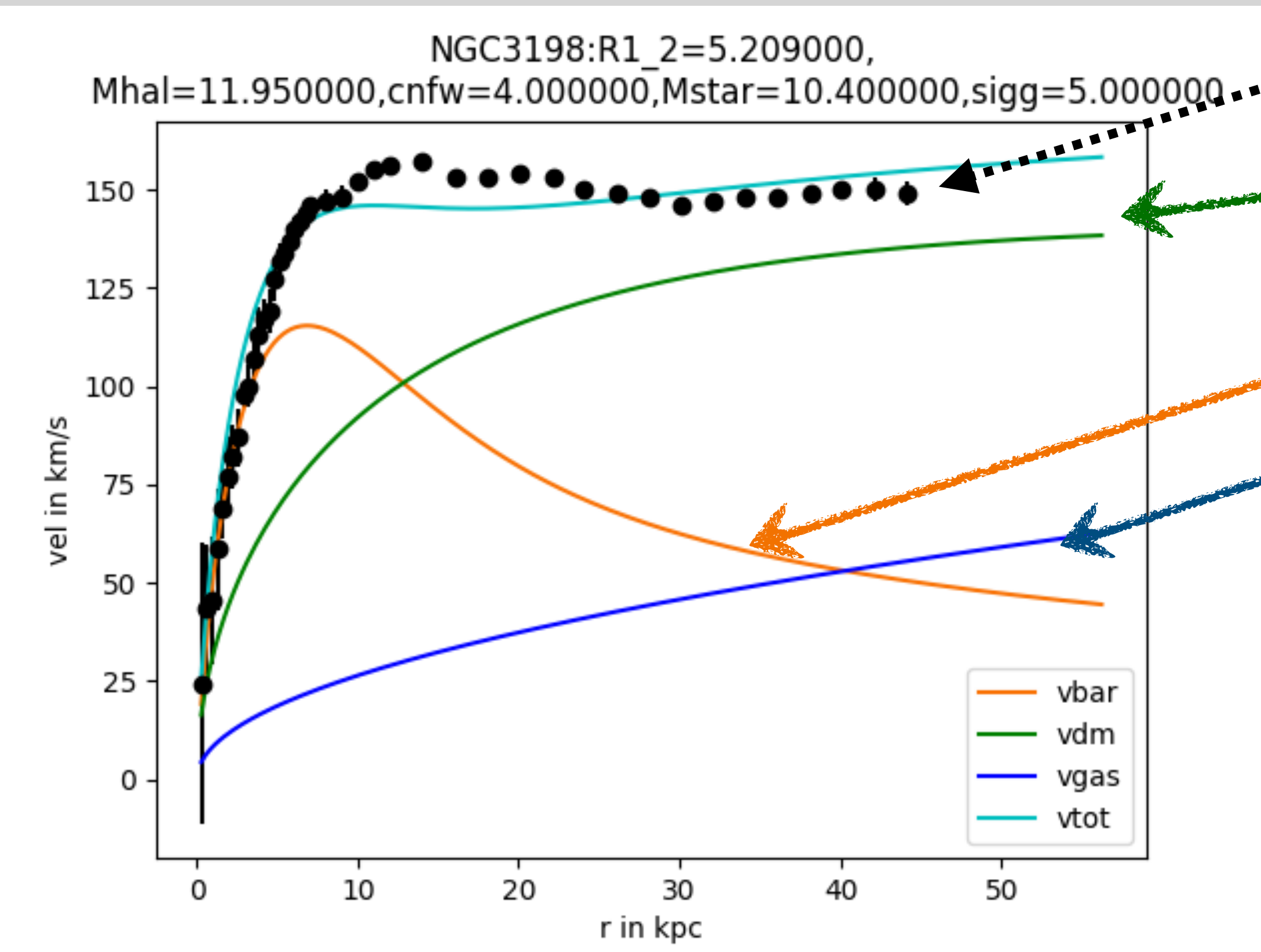
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Bouché et al. 2015



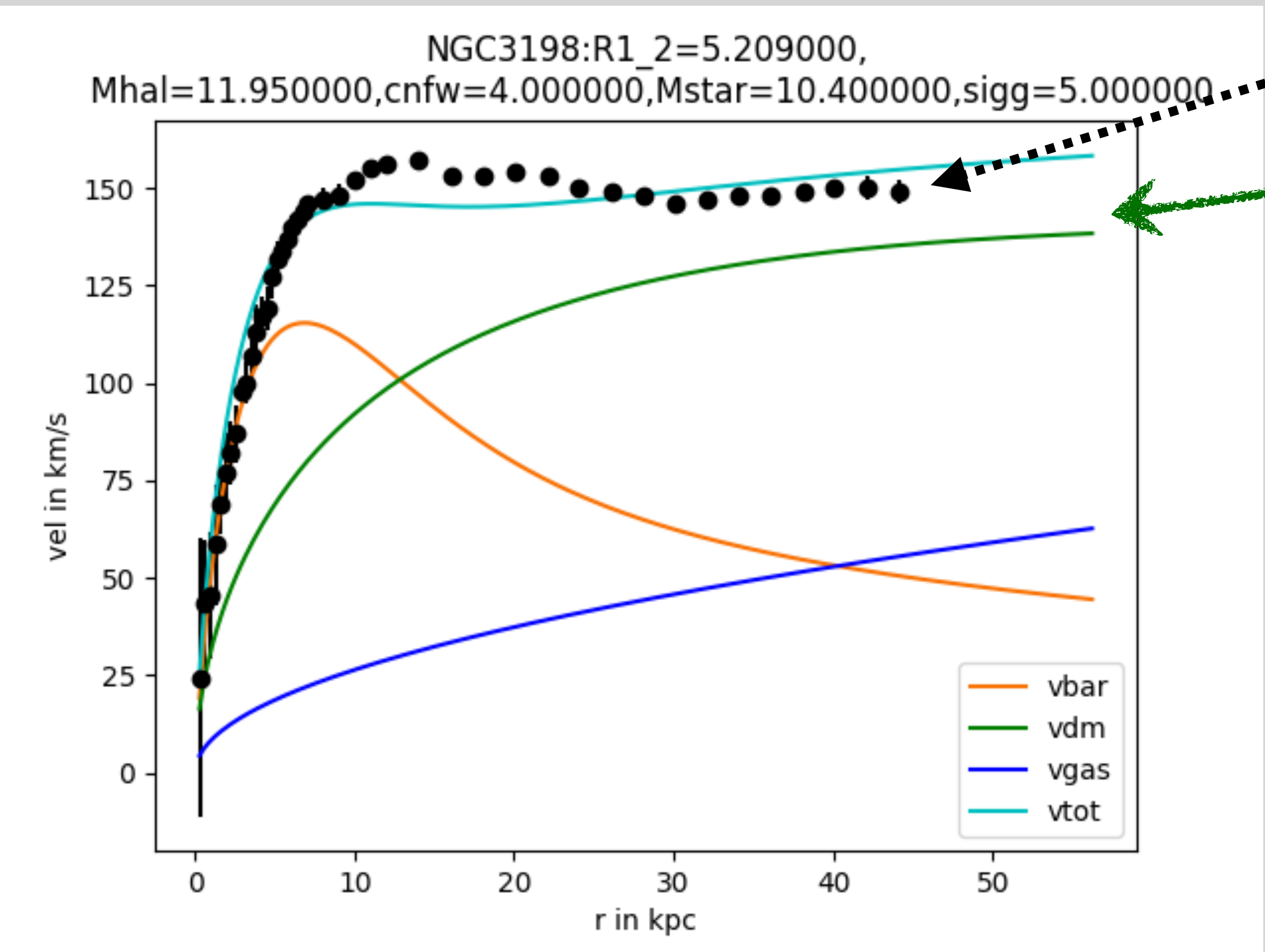
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# Using 3D forward modelling: Under the hood

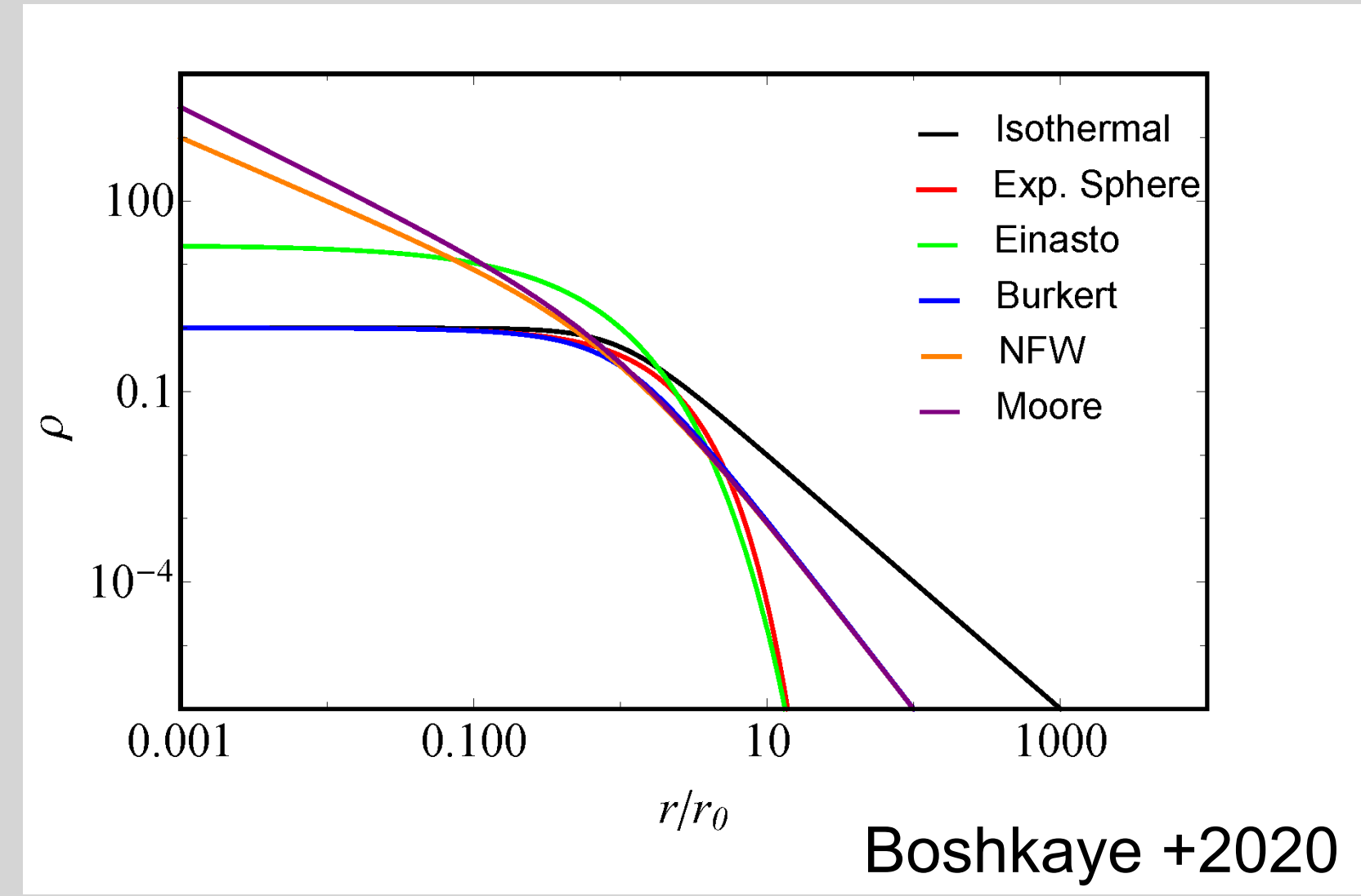


Bouché et al. 2015



$$v_c(r)^2 = v_{DM}(r)^2 + v_{disk}(r)^2 + v_{HI}(r)^2$$

1) DM: different Dark Matter density profiles





# Examples of Halo profiles - from N-body simulations

CUSP

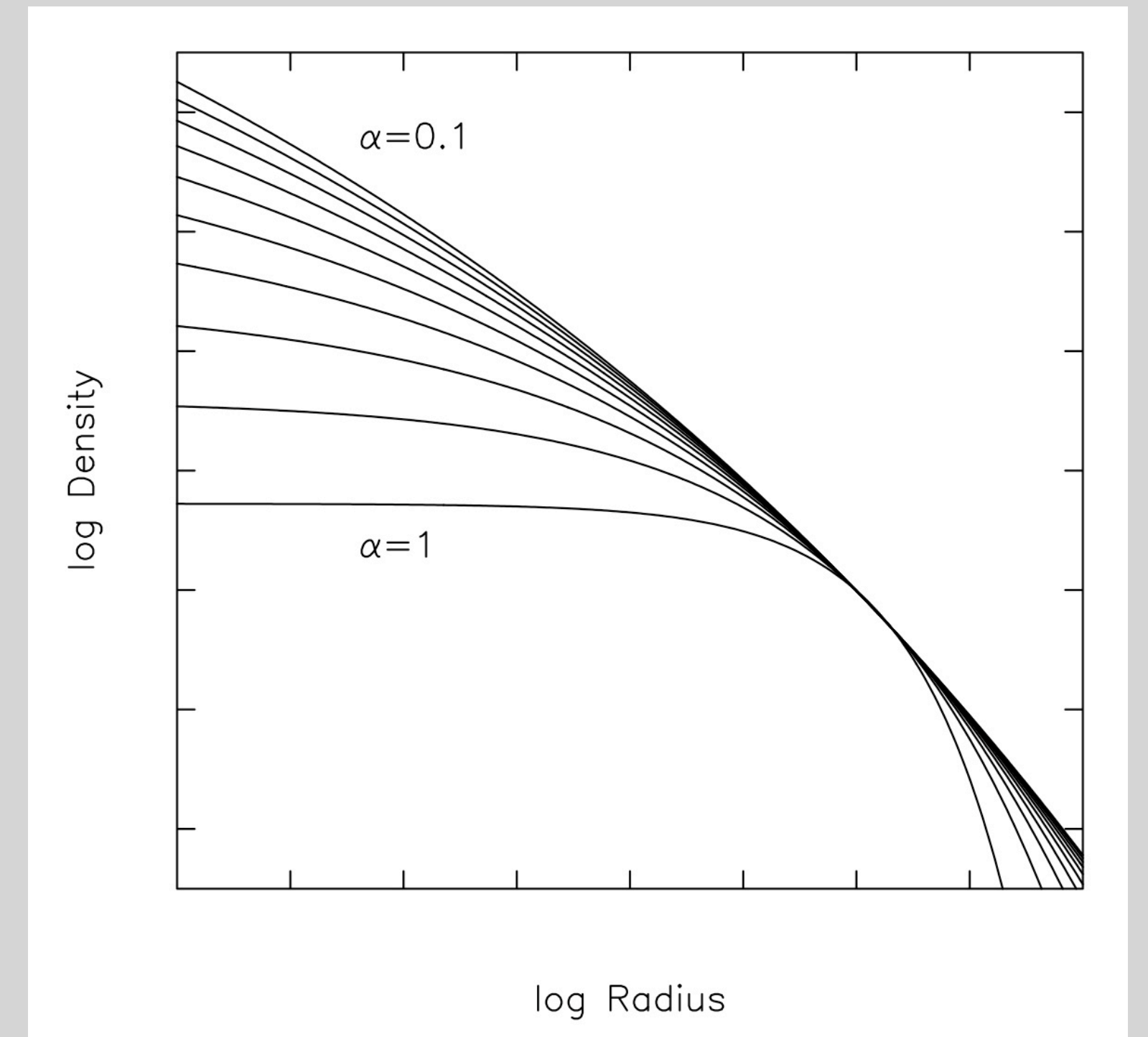
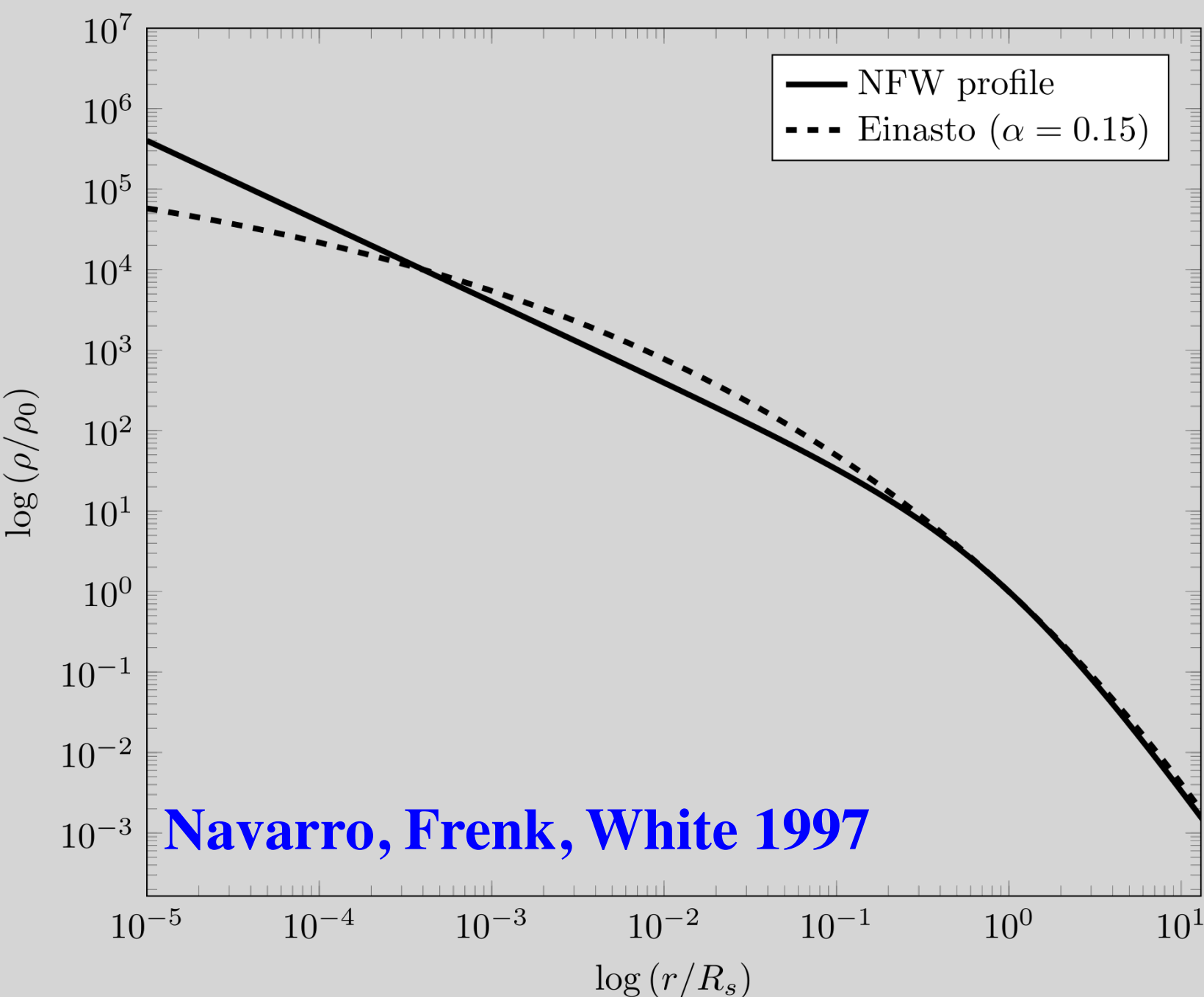
$$\rho_{\text{NFW}}(r) = \frac{\rho_s}{\left(\frac{r}{r_s}\right) \left(1 + \left(\frac{r}{r_s}\right)\right)^2}$$

$$C_{200} = r_{200}/r_s$$

CORE-CUSP

$$\rho_{\text{Einasto}}(r) = \rho_s e^{-\frac{2}{\alpha\epsilon} \left(\left(\frac{r}{r_s}\right)^{\alpha\epsilon} - 1\right)}$$

Density profiles



Navarro et al. (2004)



# Examples of Halo profiles - from hydrodynamical simulations

## CORE-CUSP

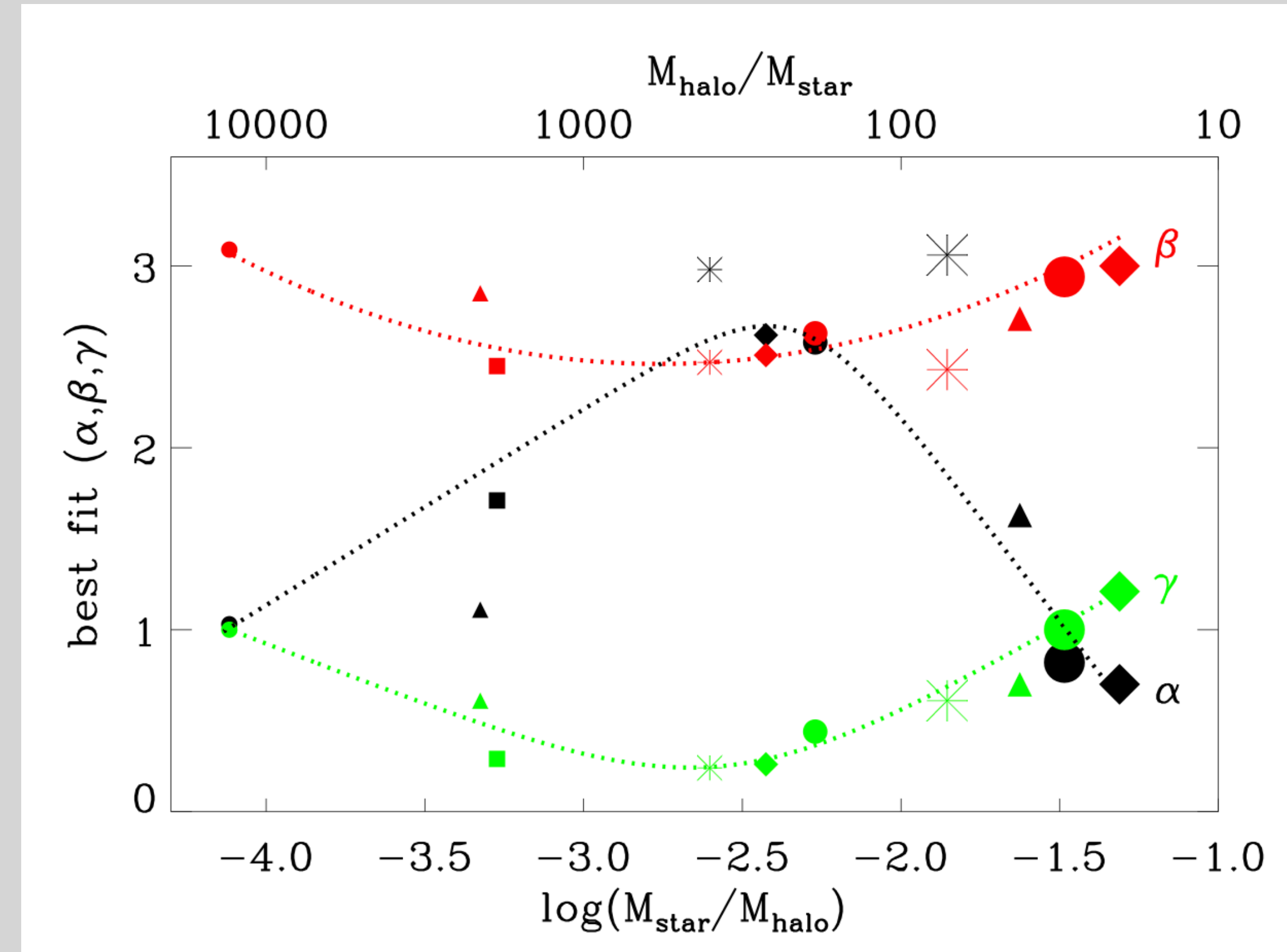
$$\rho_{\text{DC14}}(r) = \frac{\rho_s}{\left(\frac{r}{r_s}\right)^\gamma \left(1 + \left(\frac{r}{r_s}\right)^\alpha\right)^{(\beta-\gamma)/\alpha}}$$

$$\alpha = 2.94 - \log[(10^{X+2.33})^{-1.08} + (10^{X+2.33})^{2.29}],$$

$$\beta = 4.23 + 1.34X + 0.26X^2,$$

$$\gamma = -0.06 + \log[(10^{X+2.56})^{-0.68} + 10^{X+2.56}].$$

$$X = \log(M_\star / M_{\text{halo}})$$



Di Cintio et al. 2014

→ takes into account the stellar-to-halo mass dependence of the response of dark matter to baryonic processes



# Examples of Halo profiles - from hydrodynamical simulations

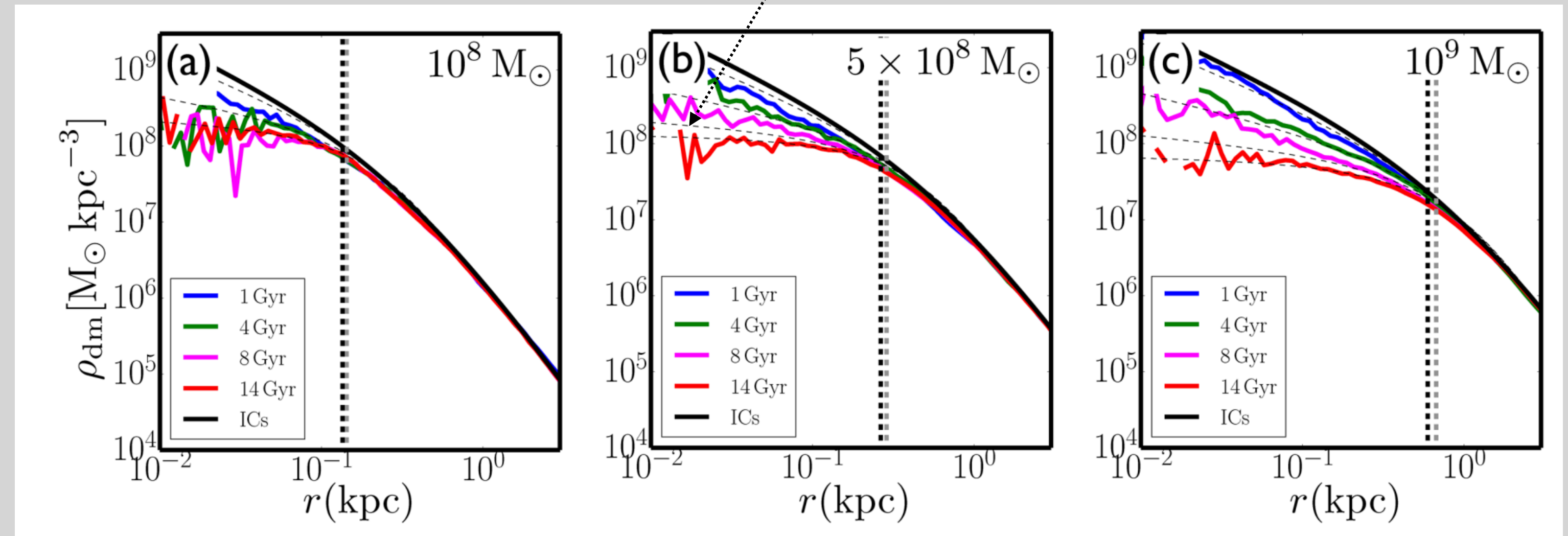
## CORE-CUSP

$$\rho_{\text{cNFW}} = f^n(r)\rho_{\text{NFW}} + \frac{nf^{n-1}(r)(1-f^2(r))}{4\pi r^2 r_c} M_{\text{NFW}}$$

where

$$f^n(r) = \tanh(r/r_c)^n$$

Read et al. 2016



➡ captures the dark matter core growth as a function of star formation time and the projected stellar half-mass radius



# Examples of Halo profiles - many more

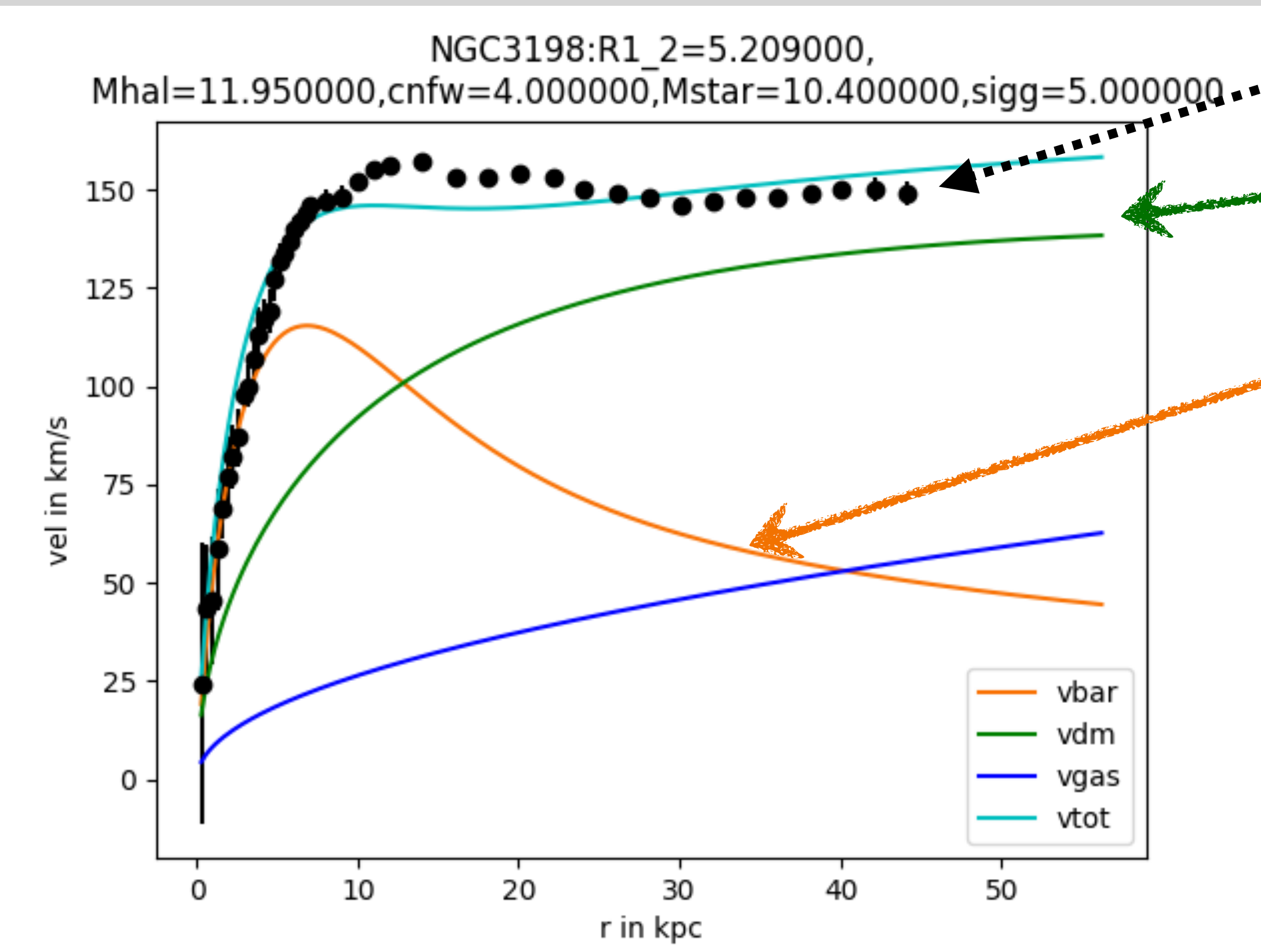
- ➔ Burkert Profile (Burkert 1995)
- ➔ Moore Profile (Moore et al. 1999)
- ➔ Isothermal Profile (Binney & Tremaine 1987)
- ➔ Hernquist Profile (Hernquist 1990)
- ➔ Zhao Profile (Zhao 1996)
- ➔ Dekel-Zhao (Freundlich et al. 2020)
- ➔ cNFW (Peñarrubia et al. 2012)
- ➔ coreEinasto (Lazar et al. 2020)
- ➔ Etc



# Using 3D forward modelling: Under the hood



Bouché et al. 2015



$$v_c(r)^2 = v_{DM}(r)^2 + v_{disk}(r)^2 + v_{HI}(r)^2$$

1) DM: different Dark Matter halo profiles

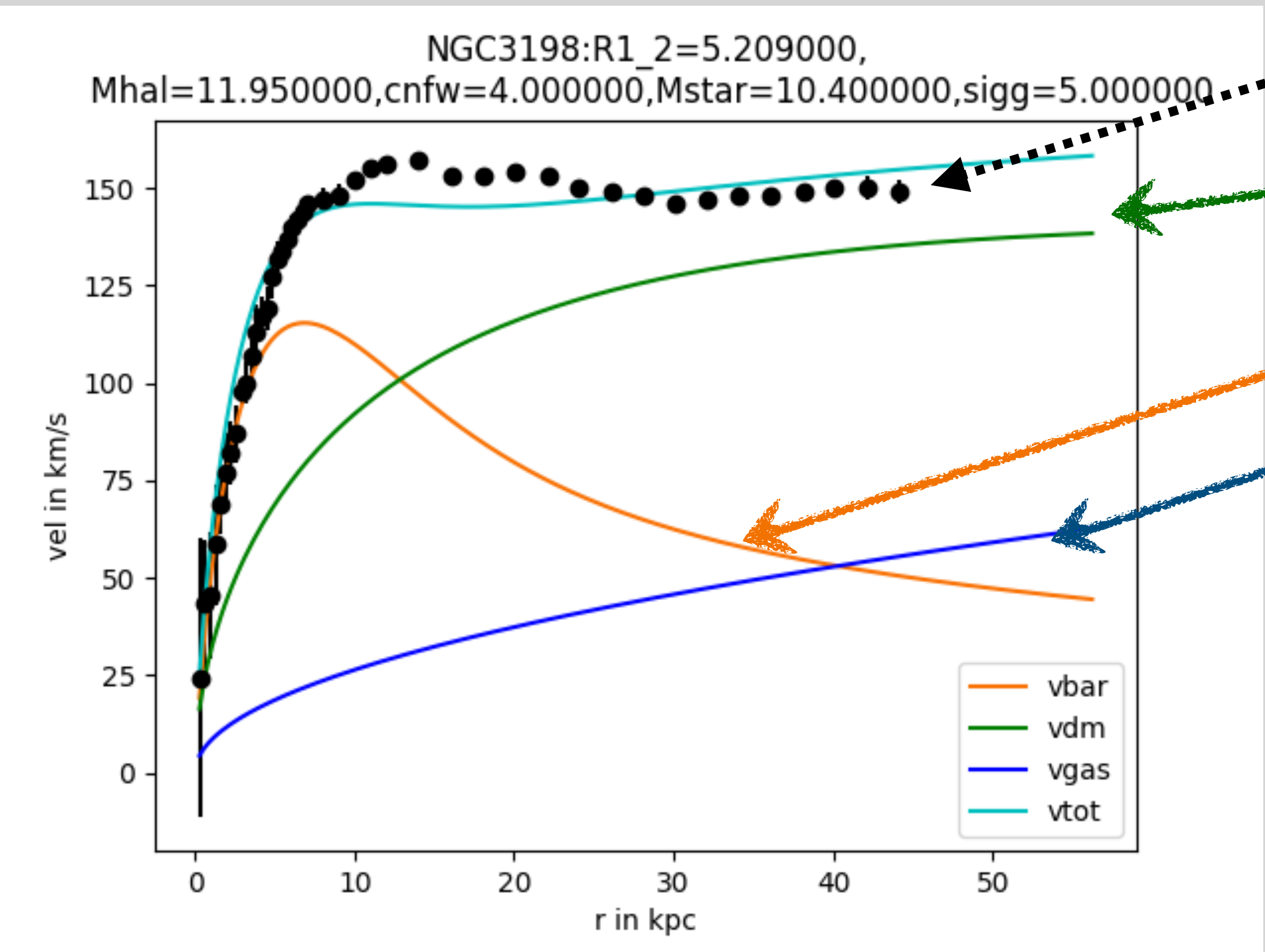
2) Disk: I(r) - Freeman Disk; Sersic n (OII, Ha)



# Using 3D forward modelling: Under the hood



Bouché et al. 2015



$$v_c(r)^2 = v_{DM}(r)^2 + v_{disk}(r)^2 + v_{HI}(r)^2$$

1) DM: different Dark Matter halo profiles

2) Disk:  $I(r)$ : Sersic  $n$  (OII,Ha); Freeman Disk

3) gas: HI gas (marginalized)

$$v_{HI}(r) \propto \sqrt{\Sigma_g r}$$



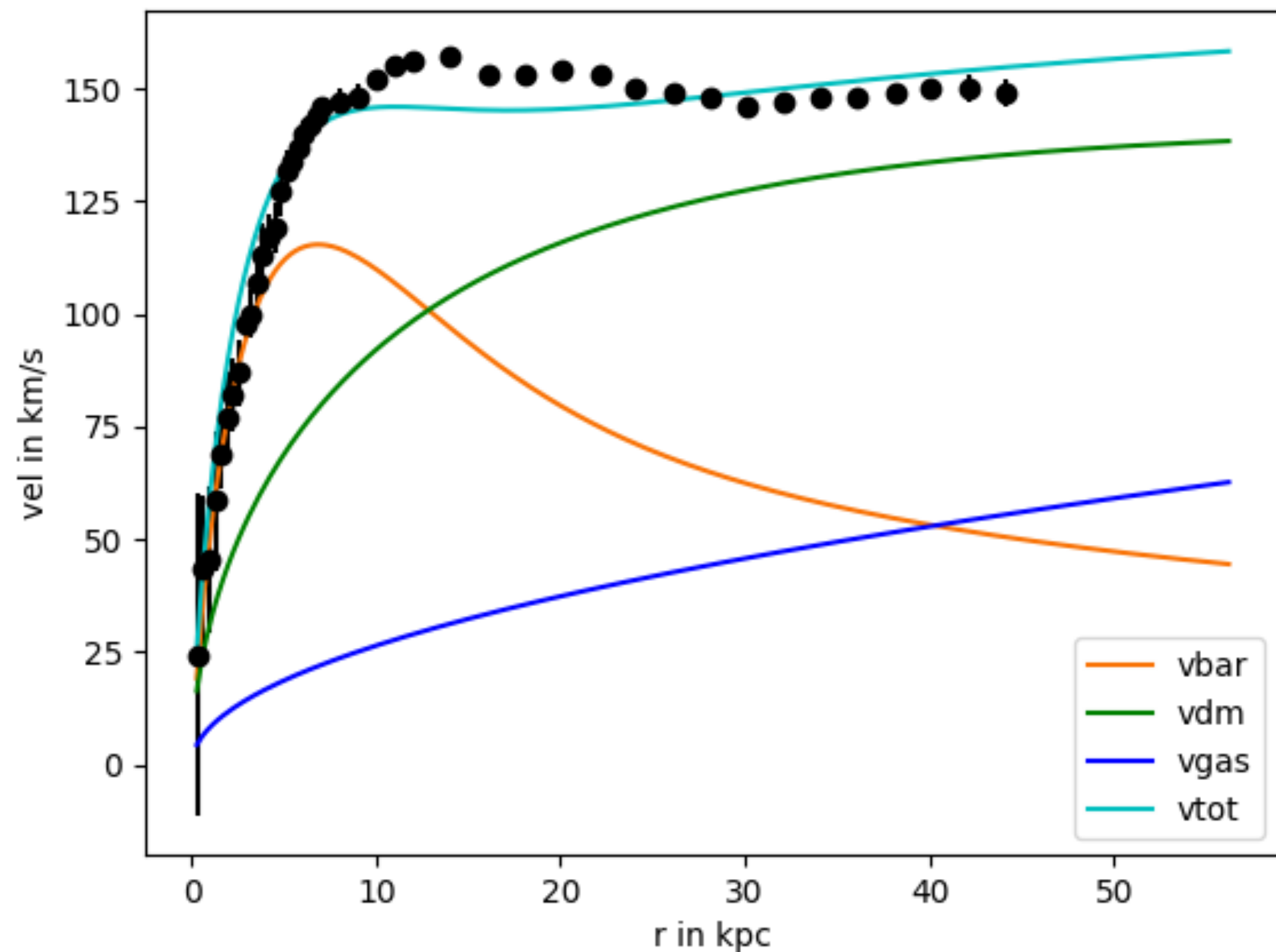
# Using 3D forward modelling: Under the hood



Bouché et al. 2015

$$v_c(r)^2 = v_{\text{DM}}(r)^2 + v_{\text{disk}}(r)^2 + v_{\text{HI}}(r)^2$$

NGC3198:R1\_2=5.209000,  
Mhal=11.950000,cnfw=4.000000,Mstar=10.400000,sigg=5.000000



1) DM: different Dark Matter halo profiles

2) Disk:  $I(r)$ : Sersic  $n$  (OII,Ha); Freeman Disk

3) gas: HI gas (marginalized)

→ 13 - 15 free parameters

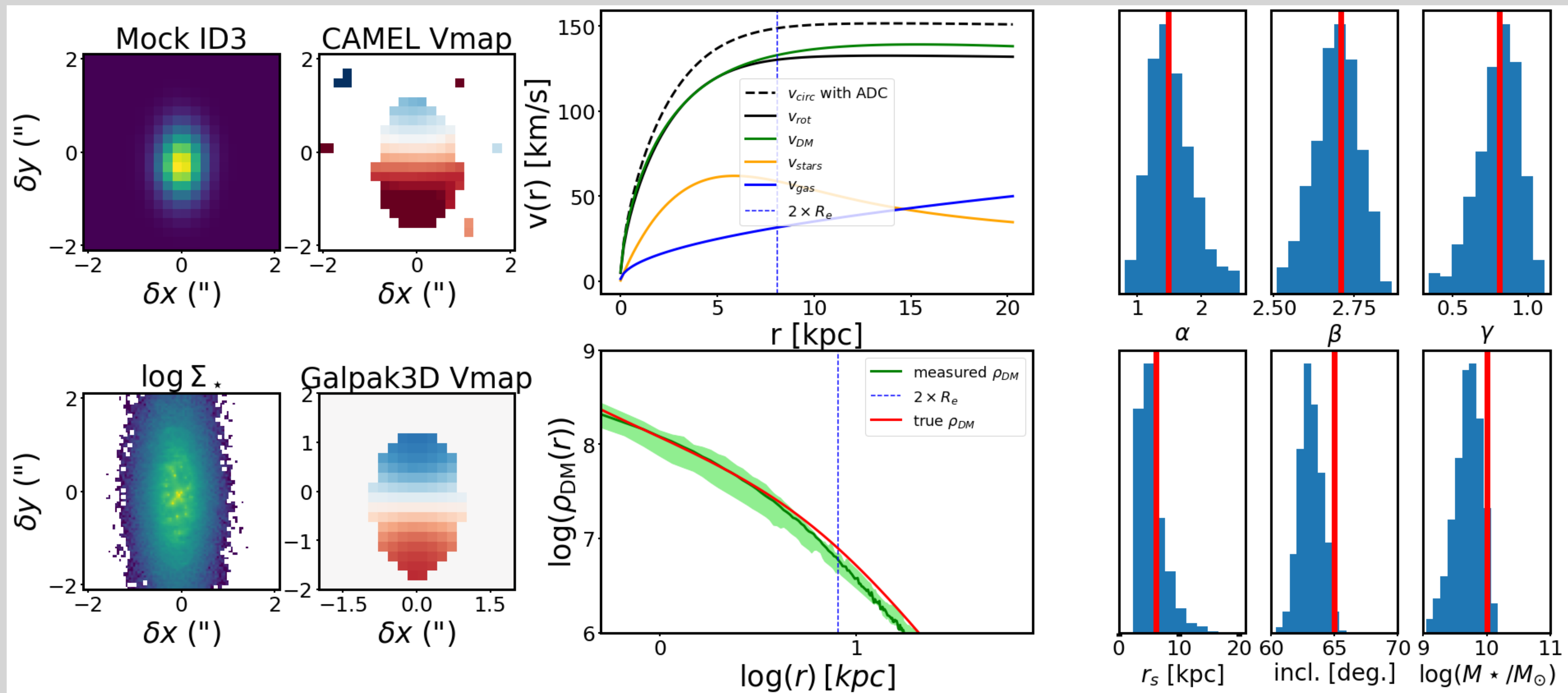
( $x, y, z, \text{incl}, \text{PA}, M^*, M_{\text{vir}}, C_{\text{vir}}, \text{sig}0, R_e, n, \dots$ )

→ all optimised simultaneously directly on the 3D IFU cube



# Validation of the methodology:

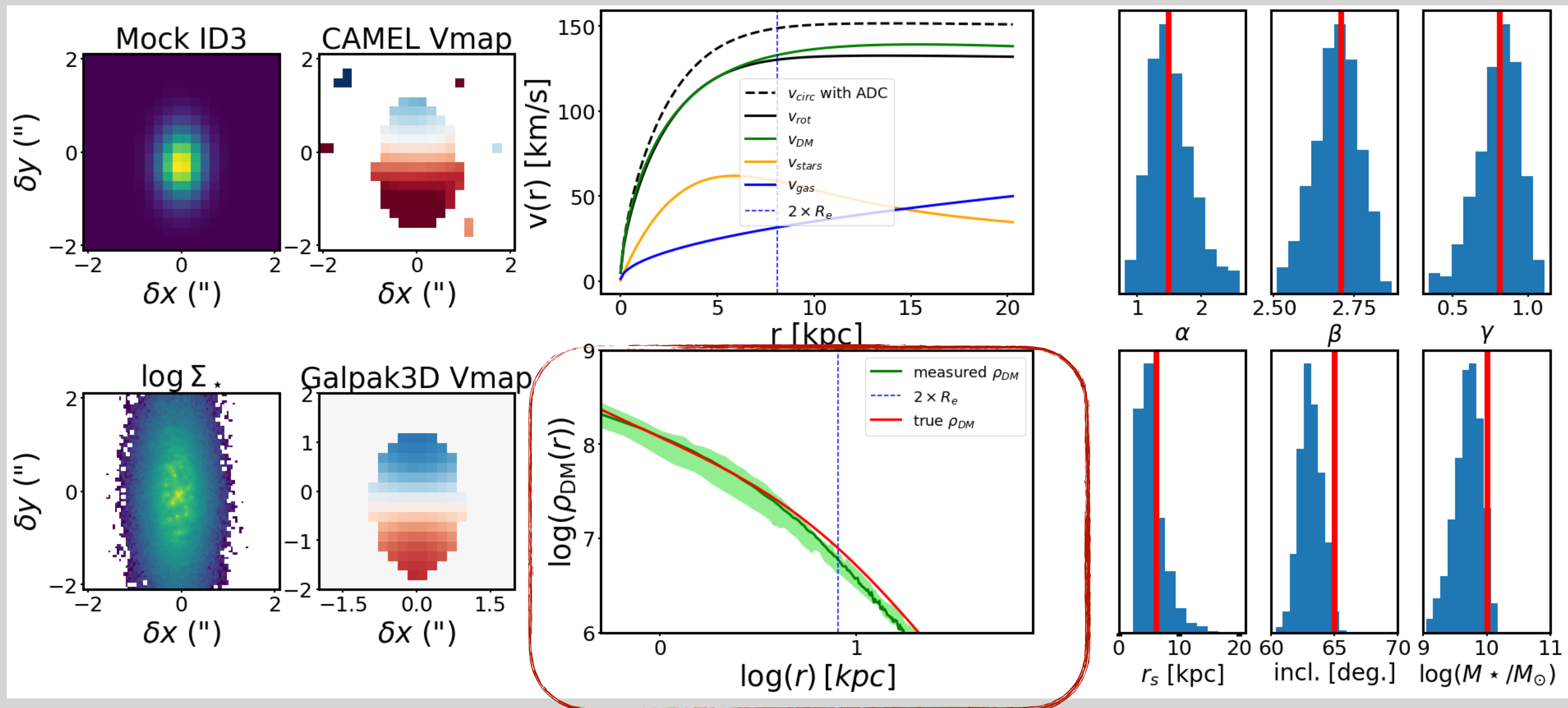
Apply 3D disk-halo decomposition on mock observations





# Validation of the methodology:

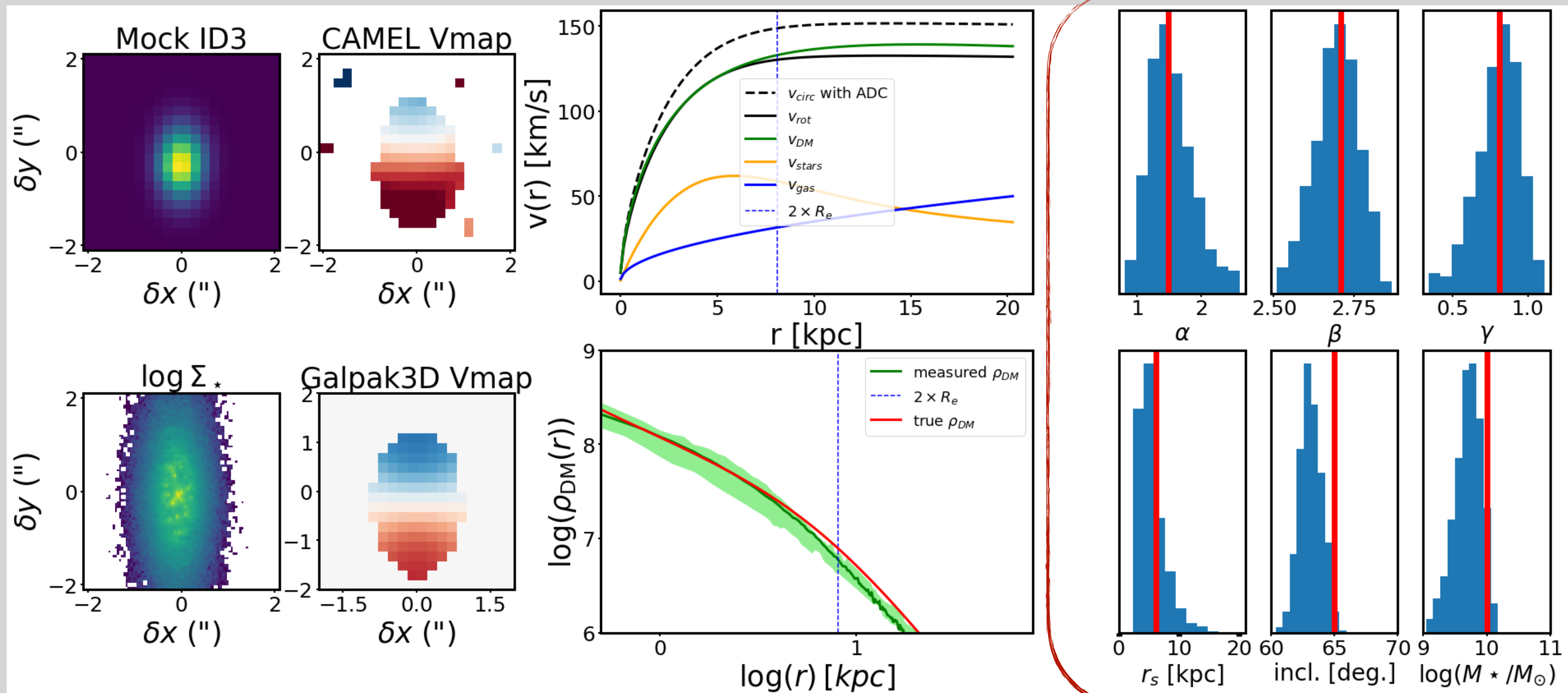
Apply 3D disk-halo decomposition on mock observations





# Validation of the methodology:

Apply 3D disk-halo decomposition on mock observations (using DC14 halo profile)

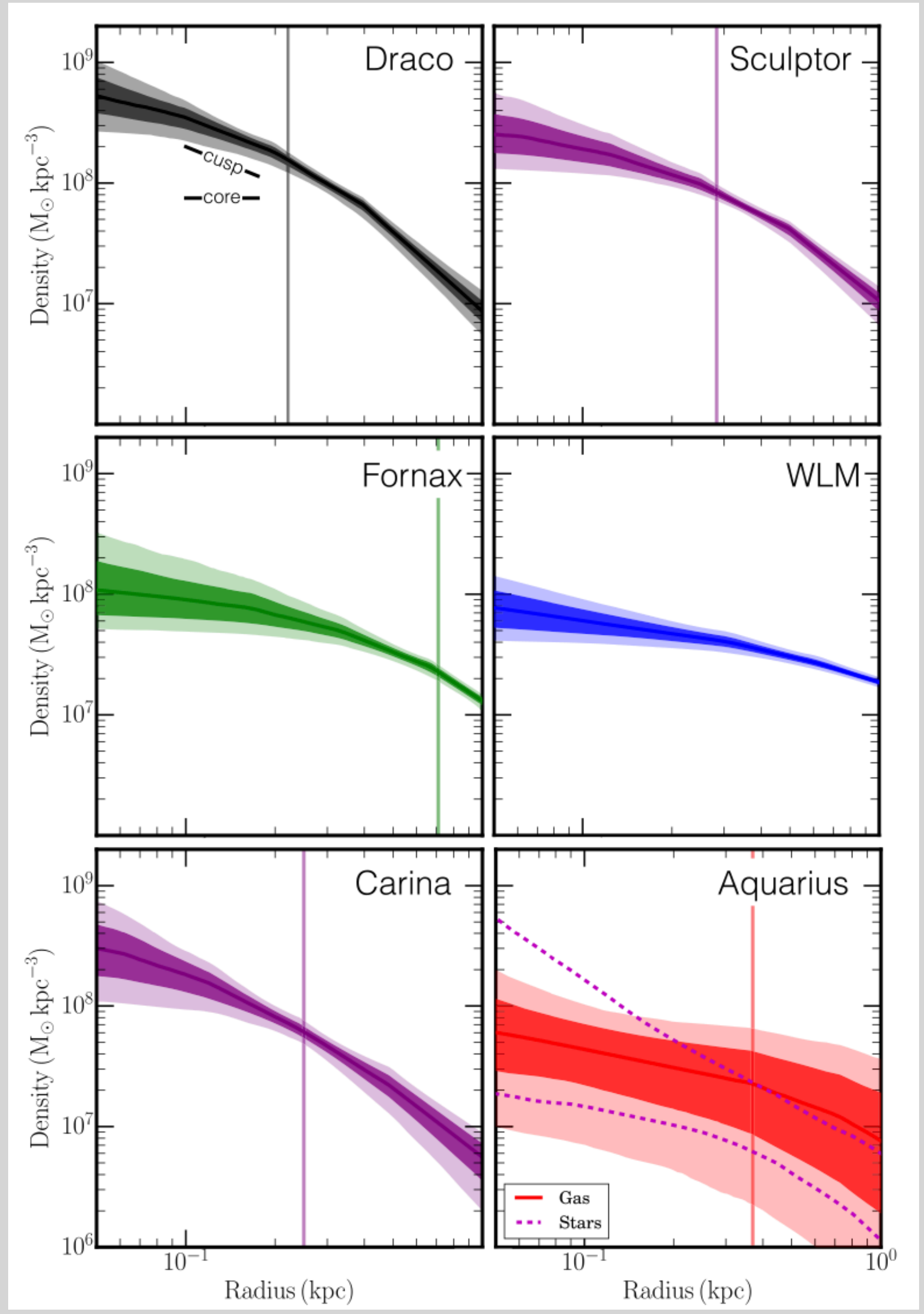
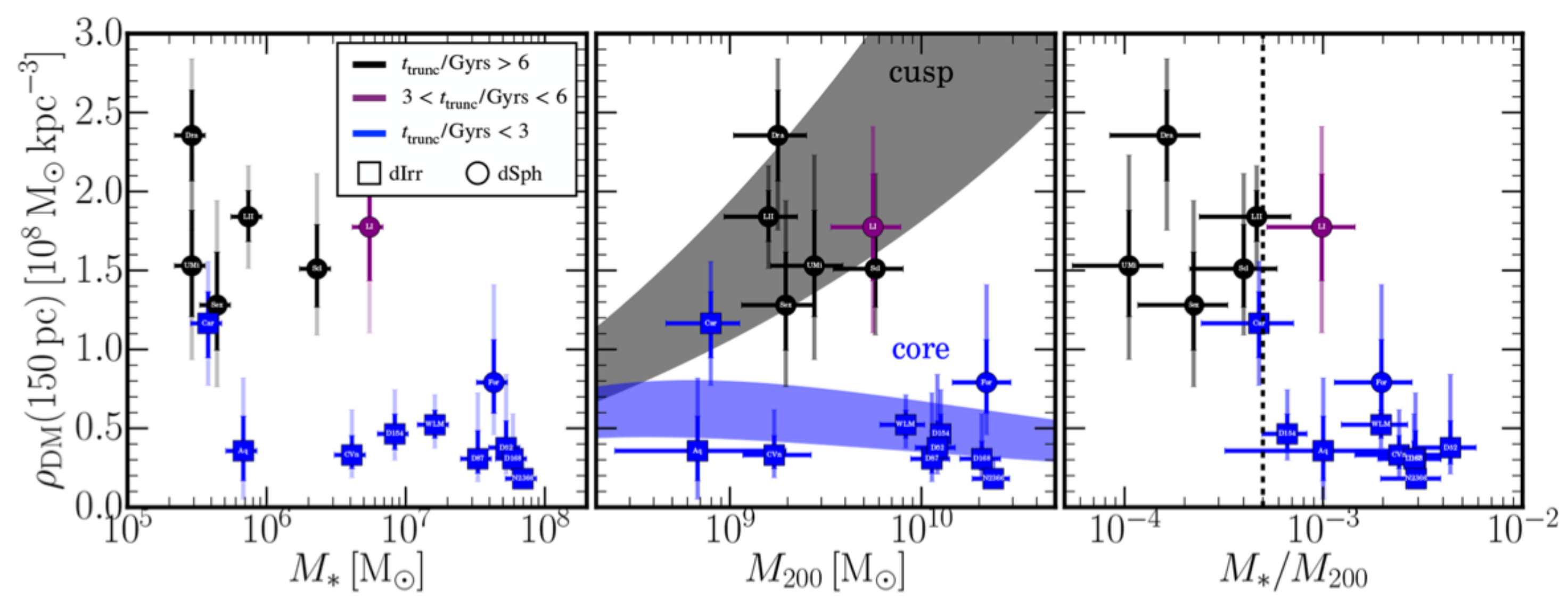




# State-of-the-art (z=0): Read et al. 2019

- ▶ Dynamical modelling of 8 dwarf spheroidal and 8 dwarf irregular galaxies
- ▶ Use NFW & coreNFW
- ▶ Investigate SFHs

➔ Find evidence that galaxies which stopped forming stars over 6 Gyr ago show cusps, while those with more extended star formation cores



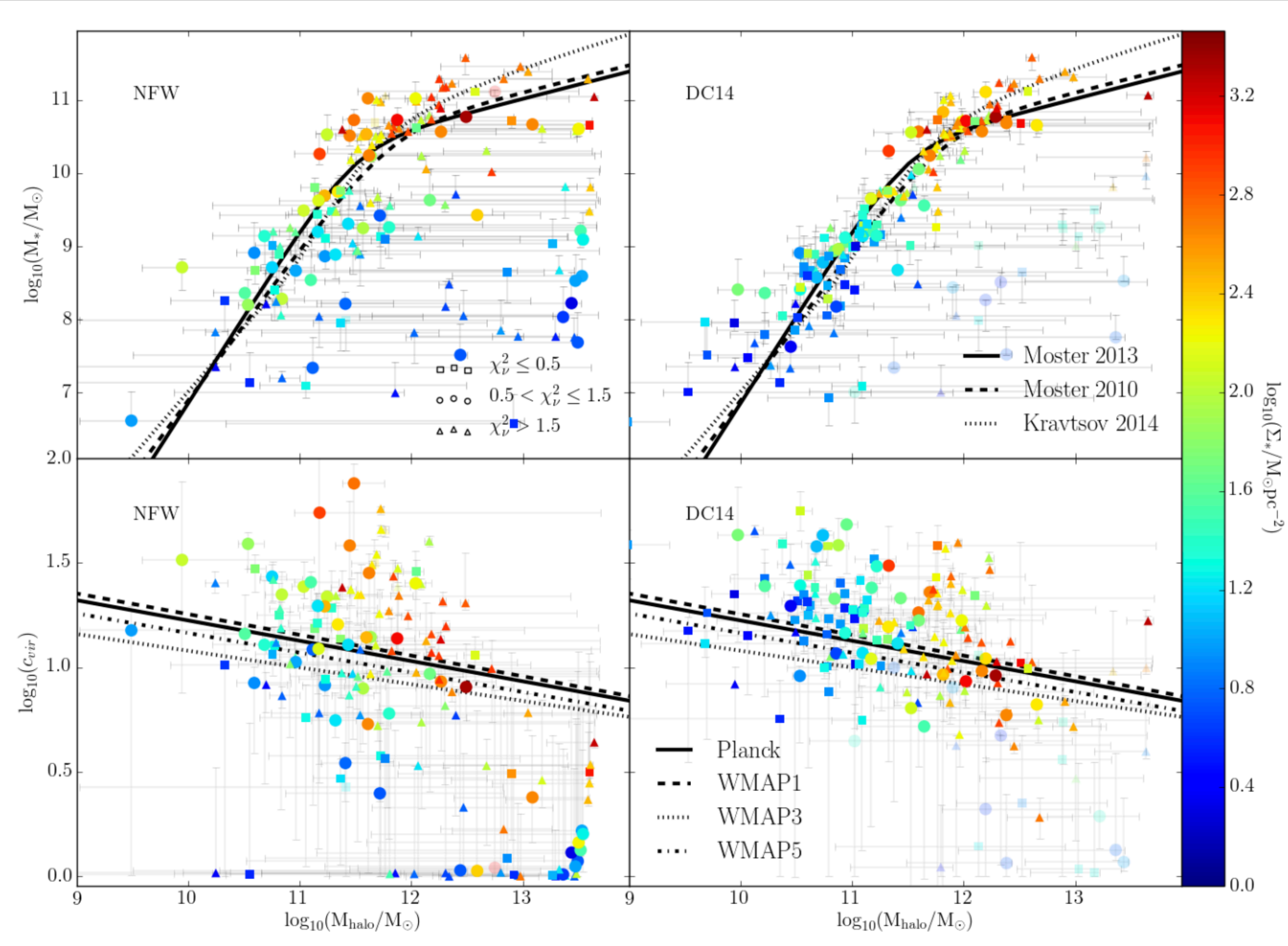


# State-of-the-art (z=0): SPARC sample - Katz+2017

- ▶ Rotation curve decomposition for 147 local galaxies (SPARC sample - Ha+HI)
- ▶ Model DM halo with (1) Navarro, Frenk, White +1997 profile; and (2) Di Cintio +2014 profile

➡ Di Cintio halo profile provides better fits to the data

➡ Recover halo mass–concentration & stellar mass–halo mass relations

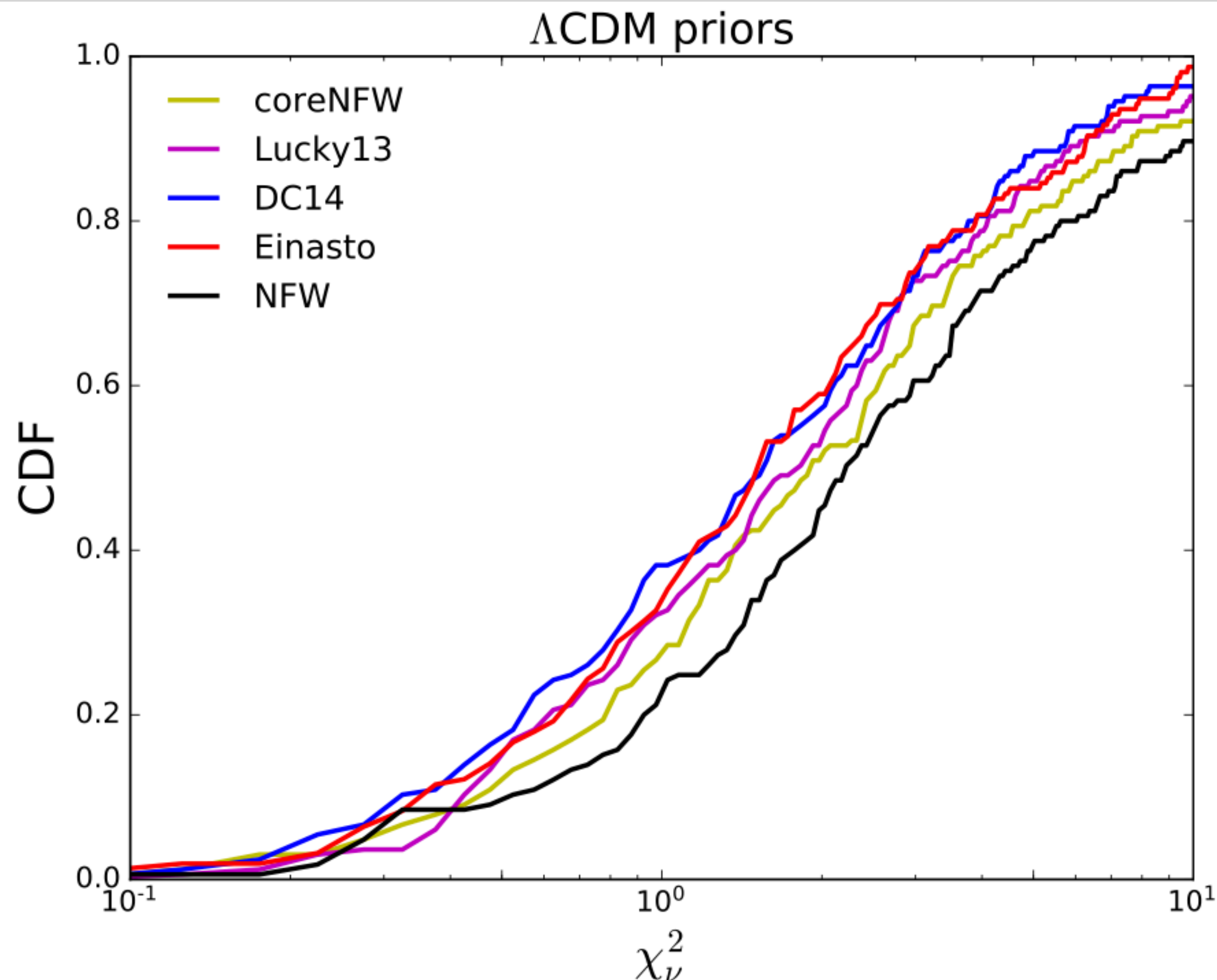




# State-of-the-art ( $z=0$ ): SPARC sample - Li+2020

1D

- ▶ Rotation curve decomposition for 175 local galaxies (SPARC sample - Ha+HI)
- ▶ Model DM halo with: (1) NFW; (2) Di Cintio +2014 profile; (3) pseudo-isothermal; (4) Burkert; (5) Einasto; (6) cored-NFW; and (7) Lucky13



➔ Find evidence that cored profiles, such as Burkert, coreNFW, DC14, Einasto, and pISO, provide better rotation curve fits than the cuspy NFW profile

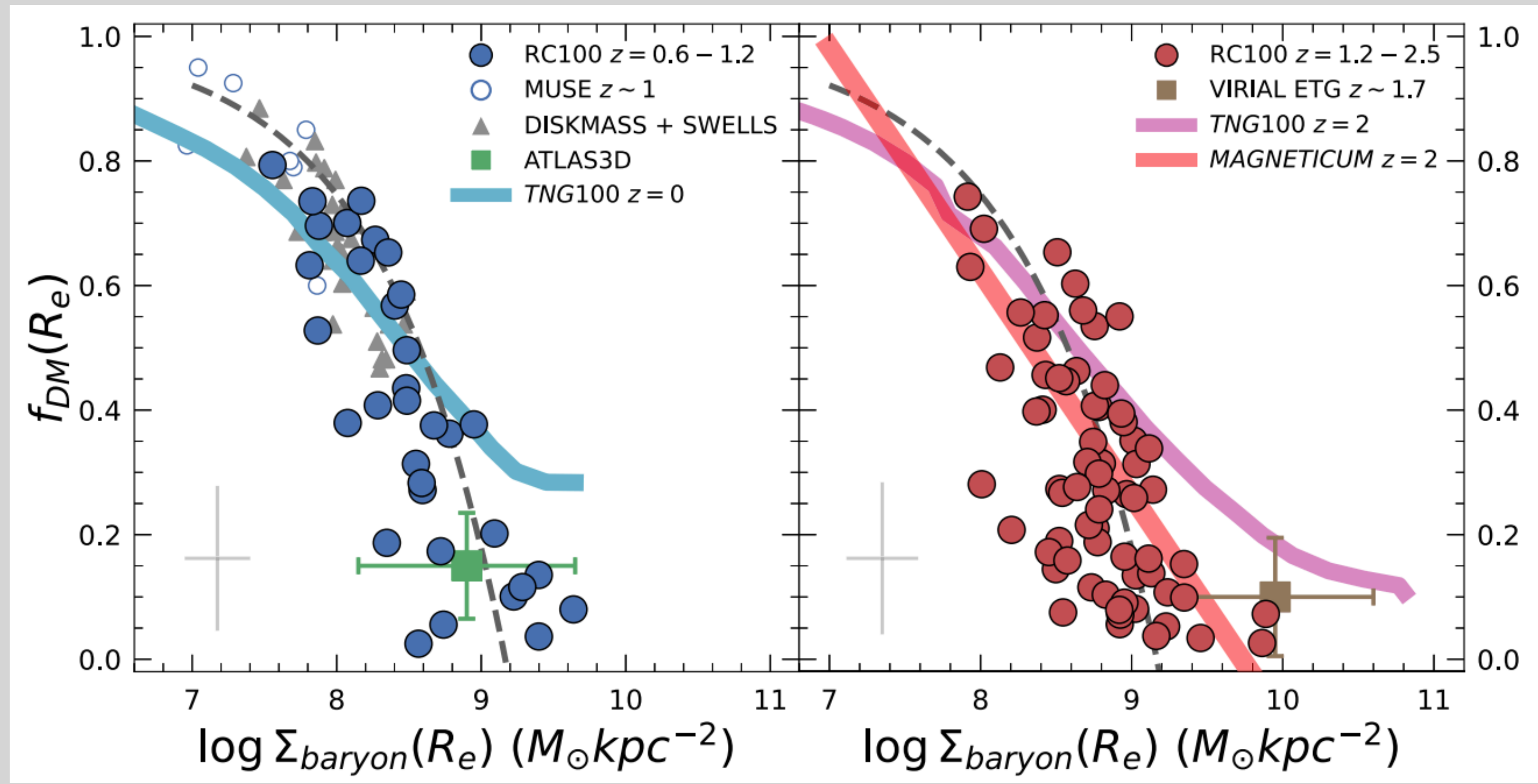
➔ Recover halo mass–concentration & stellar mass–halo mass relations



► Rotation curve decomposition for 100  $z=0.6-2.5$  massive galaxies (CO, Ha)

► fraction of dark to total matter decreases with  $z$

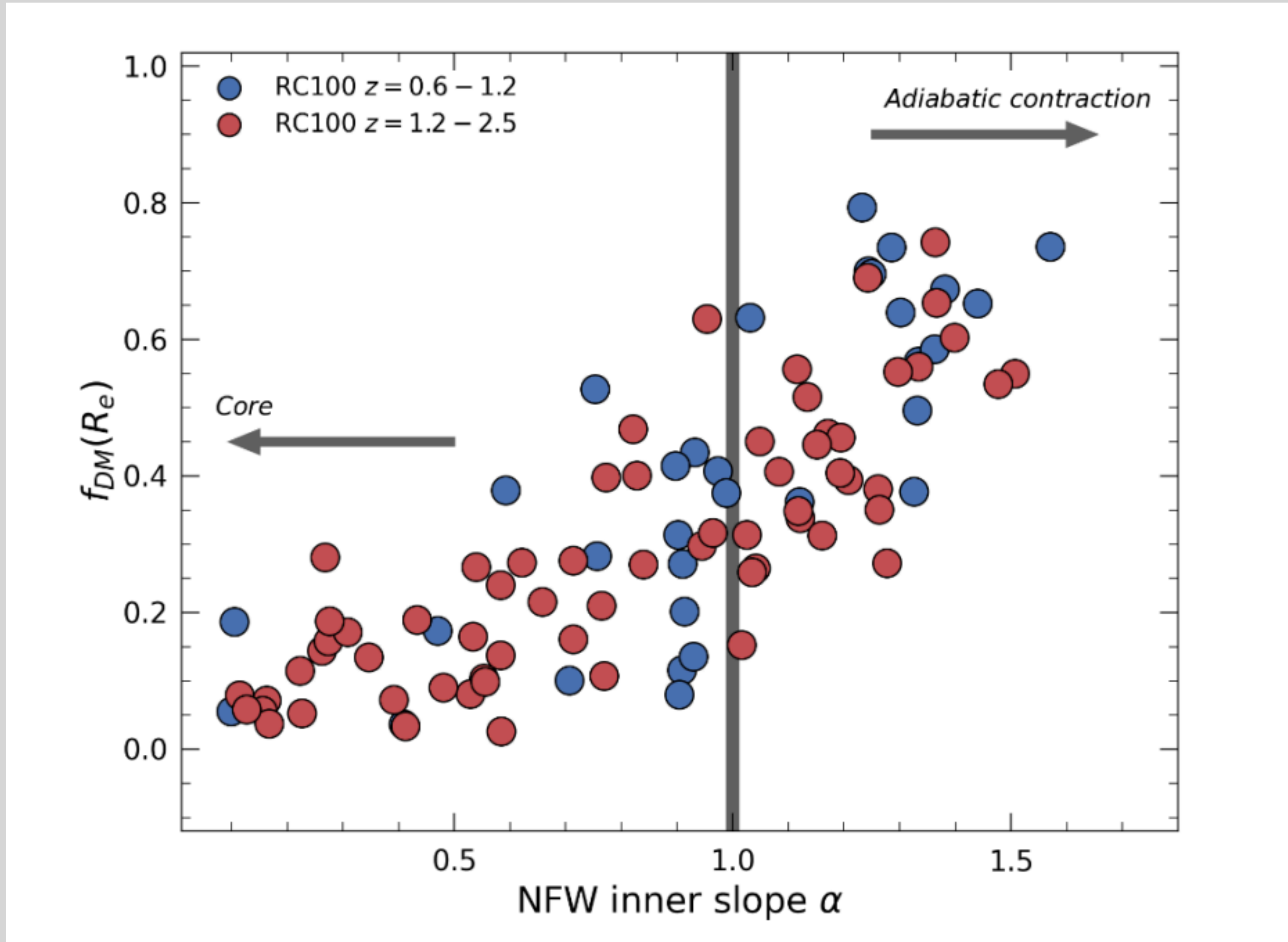
► DM deficit is more evident at high star formation rate surface densities and galaxies with massive bulges





▶ Rotation curve decomposition for 100  $z=0.6-2.5$  massive galaxies (CO, Ha)

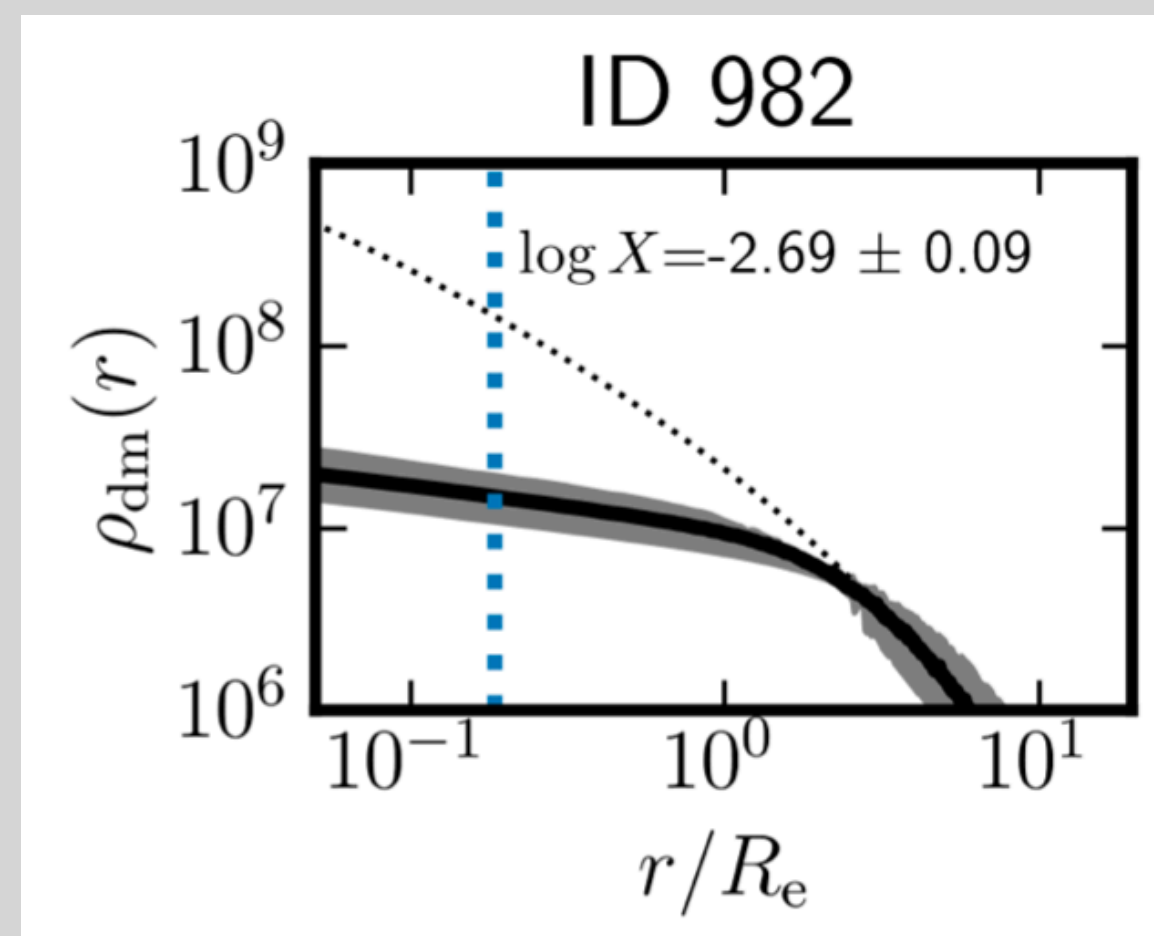
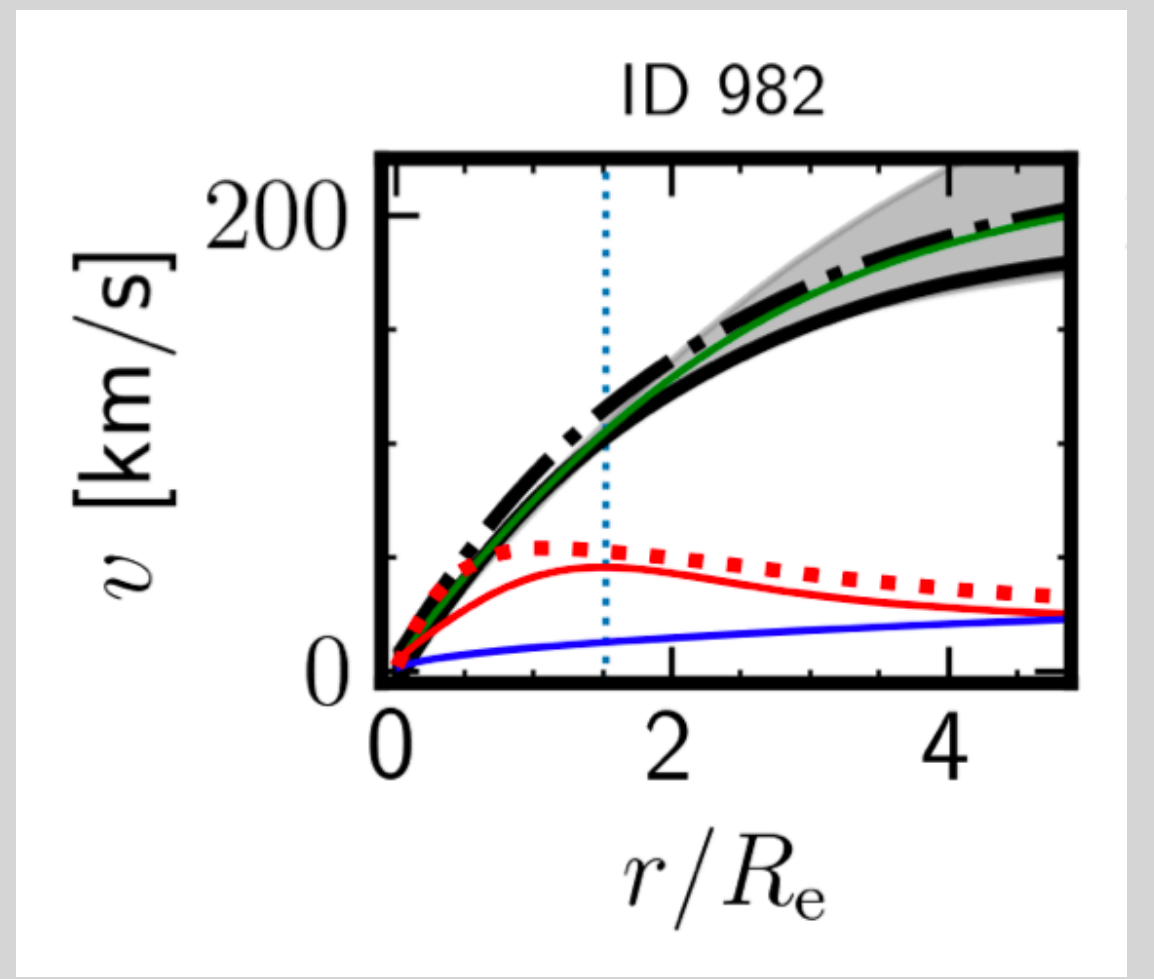
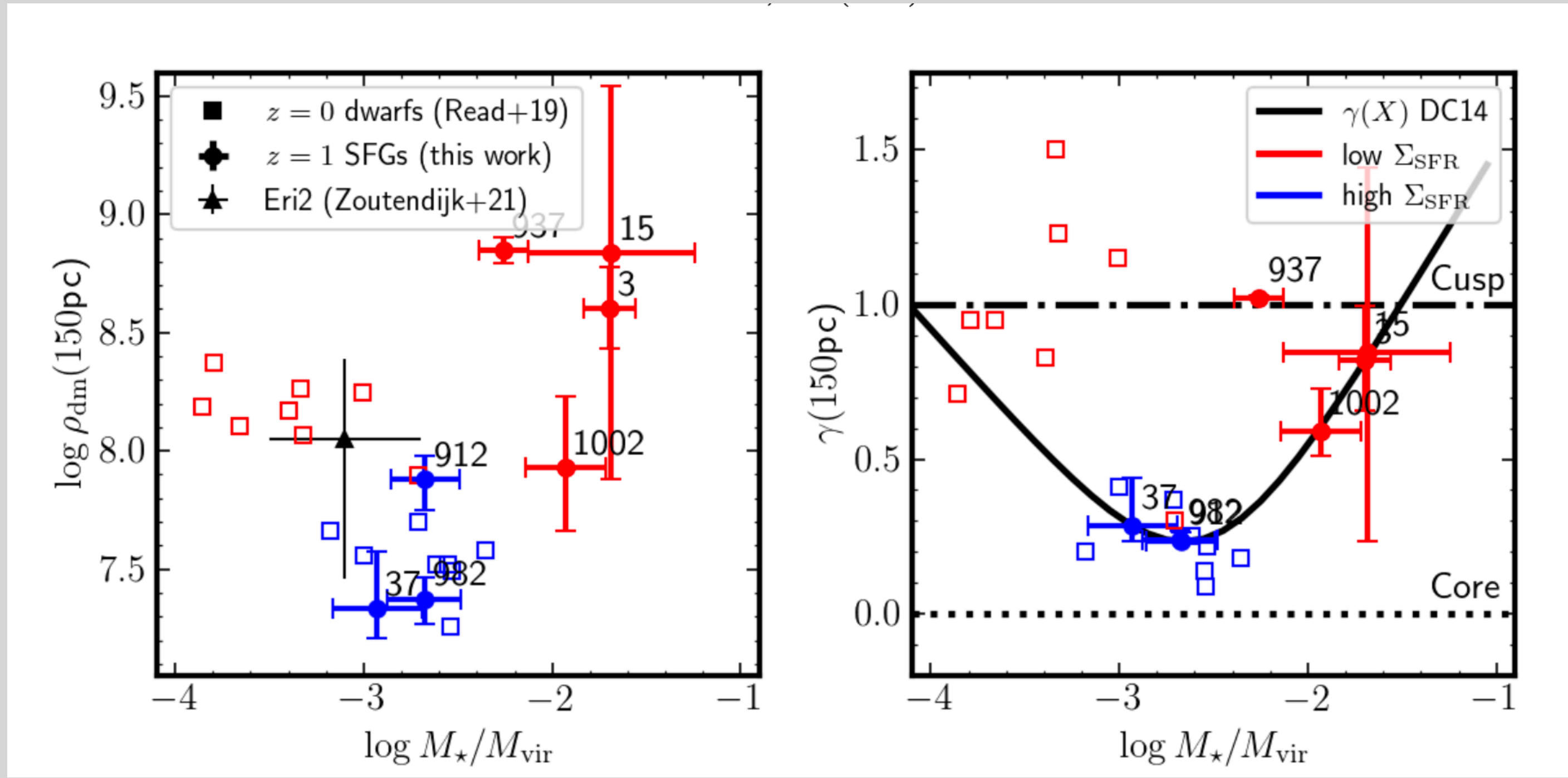
- ➔ fraction of dark to total matter decreases with  $z$
- ➔ DM deficit is more evident at high star formation rate surface densities and galaxies with massive bulges
- ➔ low DM fractions can be explained with cored inner DM density





# At $z \sim 1$ - MUSE Hubble Ultra Deep Field: Bouché +2022

- ▶ Rotation curve decomposition for 10  $z \sim 1$  lower mass galaxies
- ▶ Model DM halo with: (1) NFW; (2) Di Cintio +2014 profile



- ➔ Di Cintio +2014 profile represents the data better
- ➔ Halo parameters agree with expectations
- ➔ Evidence for stellar feedback induced cores



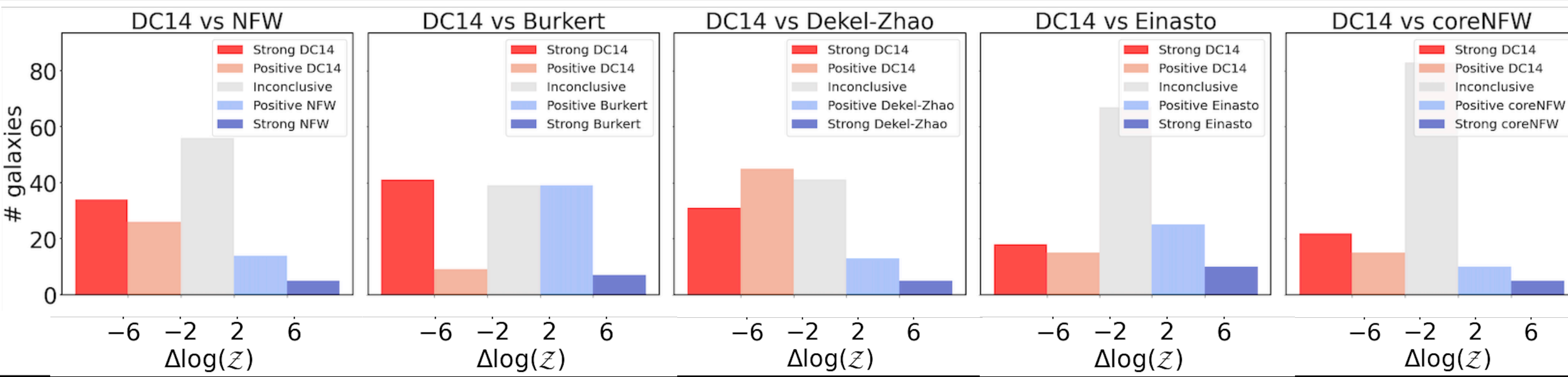


# At $z \sim 1$ - MUSE Hubble Ultra Deep Field Survey: Ciocan, Bouché +2024

submitted

► Rotation curve decomposition for 136 galaxies with  $0.3 < z < 1.5$  and  $7 < \log(M^*/M_\odot) < 11$

► Model DM halos with: (1) NFW; (2) Di Cintio +2014 profile; (3) Burkert (Burkert 1995); (4) Dekel-Zhao (Freundlich et al. 2020b); (5) Einasto (Navarro et al. 2004); and (6) coreNFW

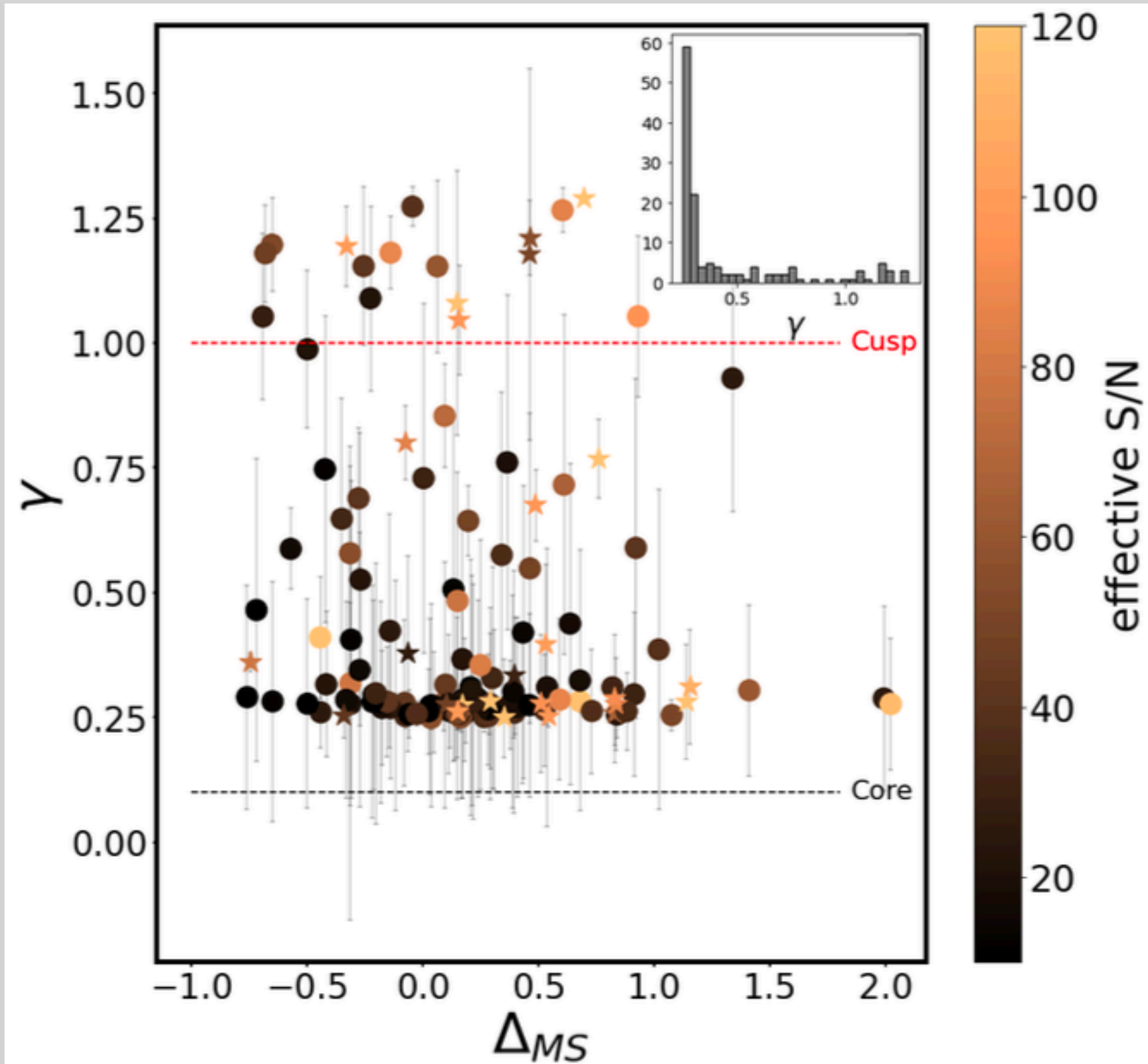


► Bayesian model comparison: Di Cintio +2014 profile represents the data better





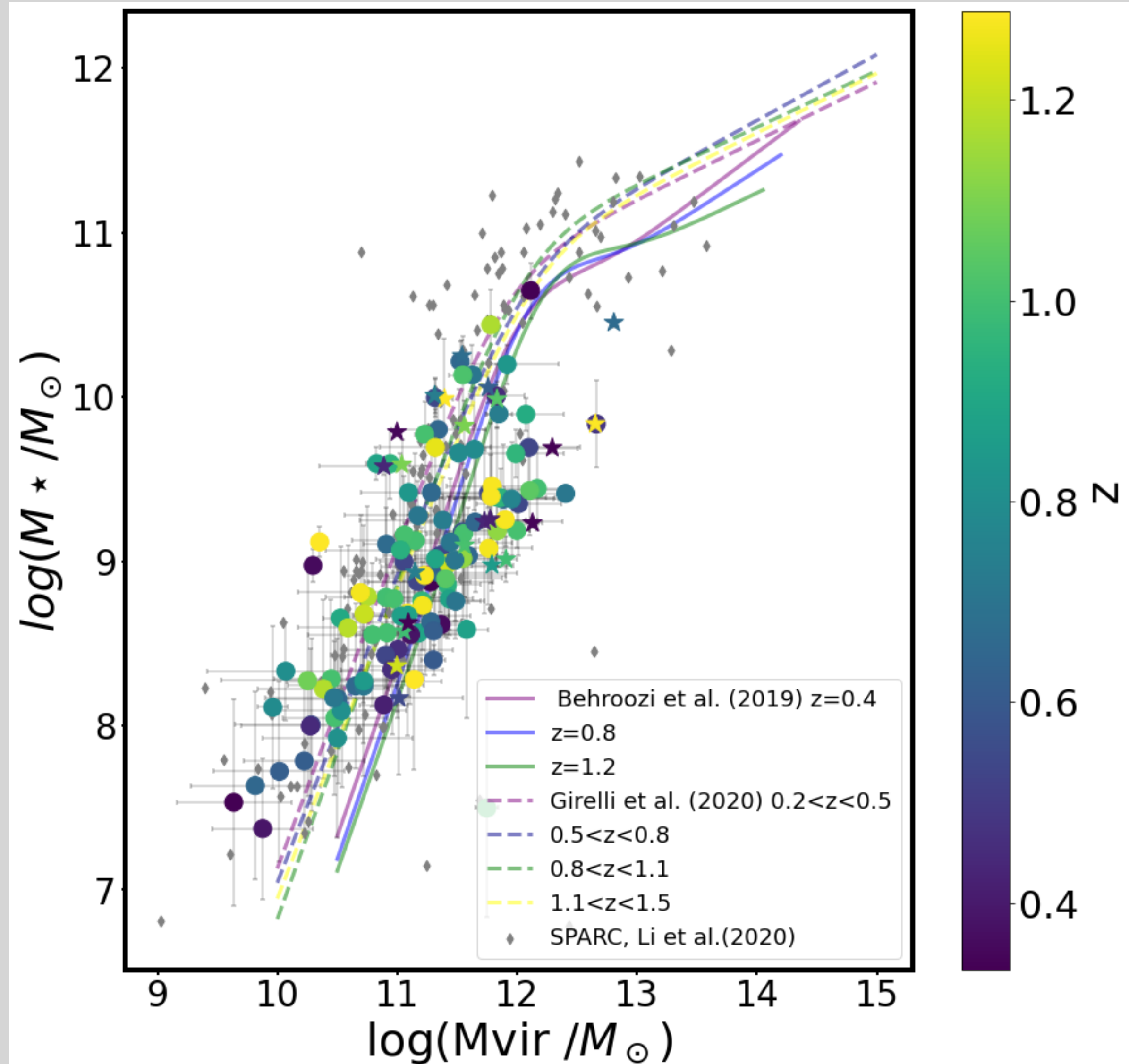
- ▶ **Dark matter inner slope vs offset from star forming main sequence**



➔ 66% shows cored dark matter density profiles  
➔ No correlation between the dark matter inner slope and the star formation activity of the sample



## ► Stellar mass - halo mass relation



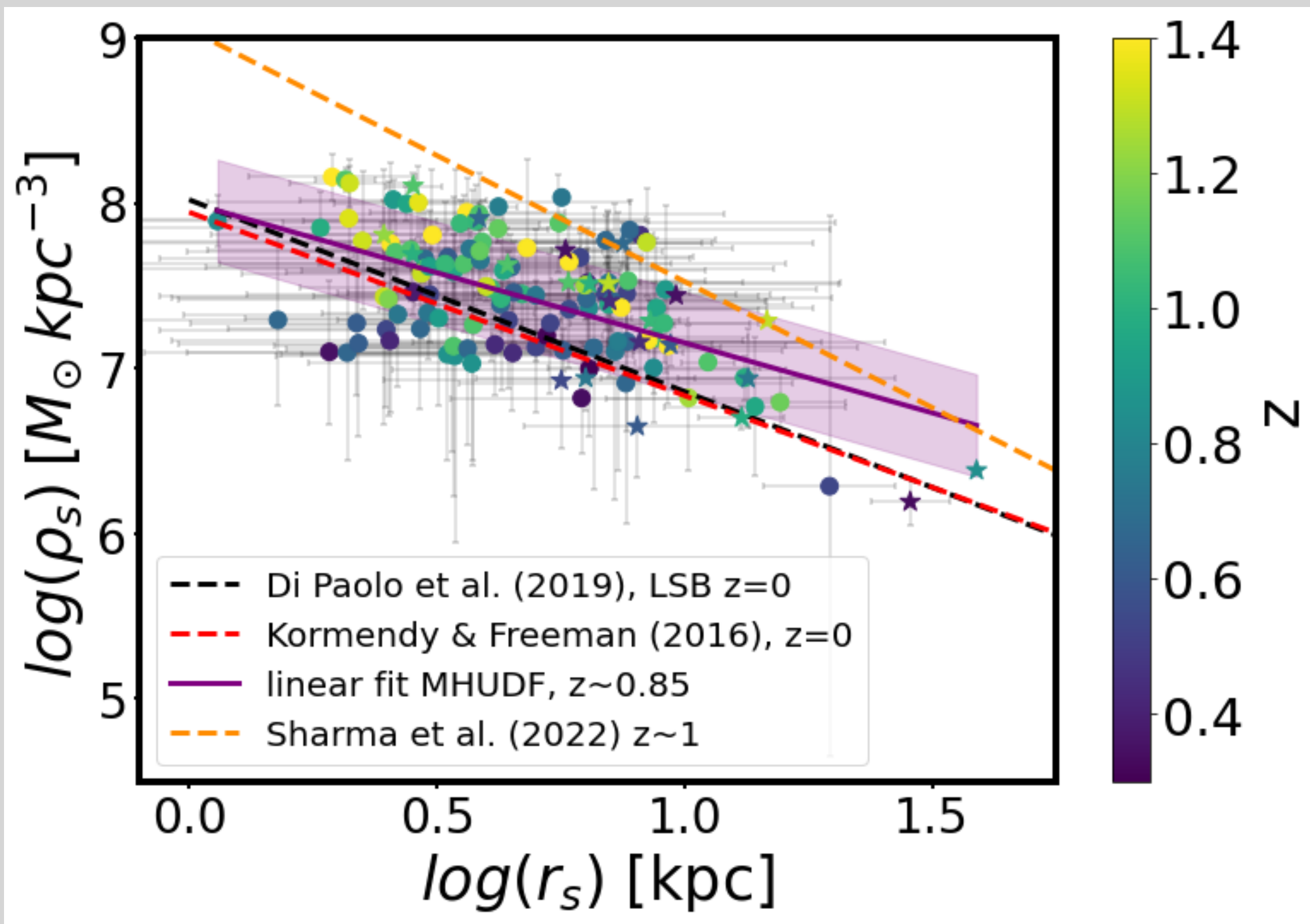
► in agreement with the predictions from Behroozi+2019 and Girelli+2020

3D

GalPaK  
galaxy parameters and kinematics



## ► Halo scale radius - density relation



$$\rho \propto R^{-3(3+n)/(5+n)}$$

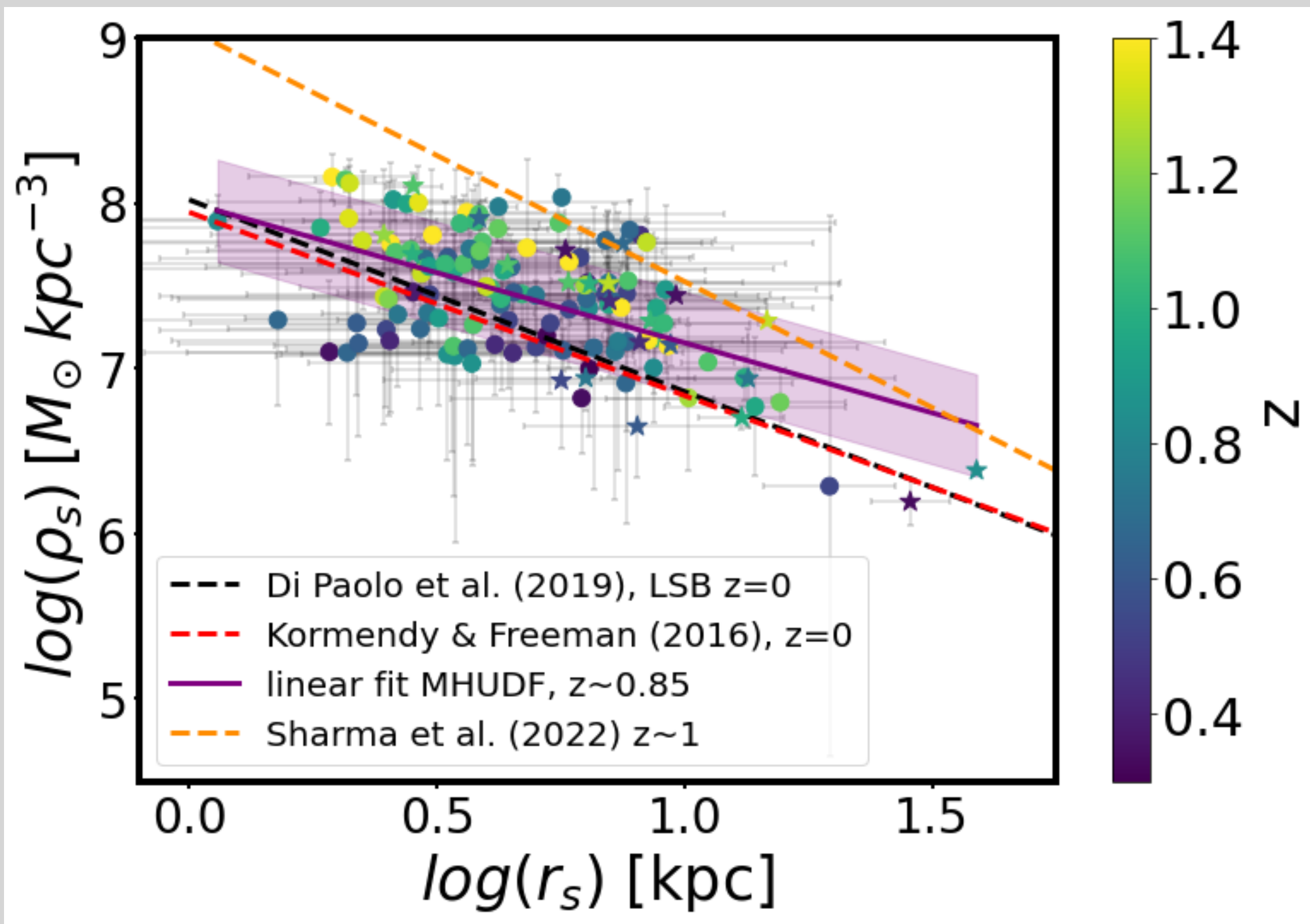
(Djorgovski 1992)

$$n \sim -2$$

► anticorrelation results from the expected scaling relation of DM predicted by hierarchical clustering



## ► Halo scale radius - density relation



► evolution of halo characteristic density with  $z$

$$\rho \propto R^{-3(3+n)/(5+n)}$$

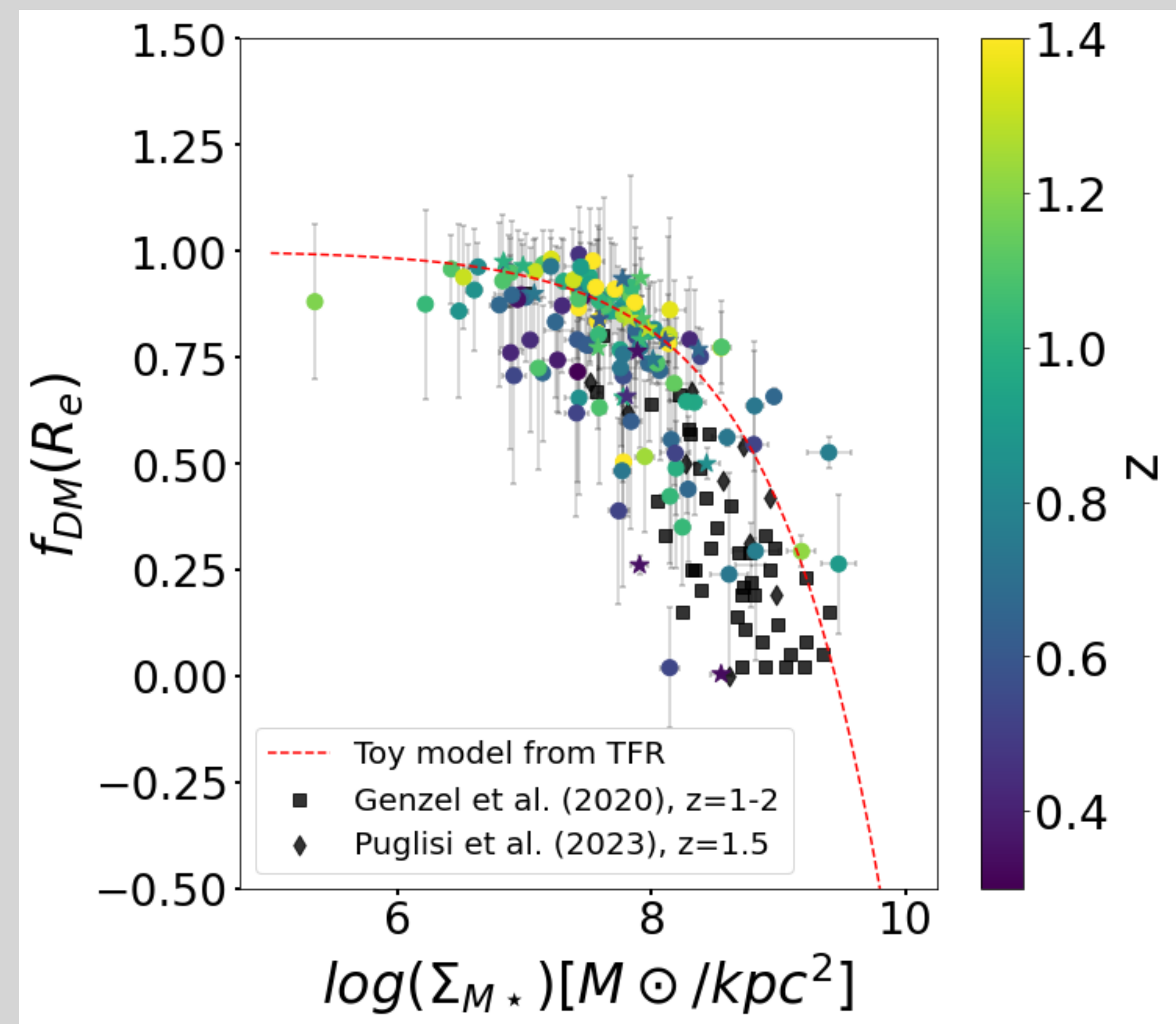
(Djorgovski 1992)

$$n \sim -2$$

► anticorrelation results from the expected scaling relation of DM predicted by hierarchical clustering



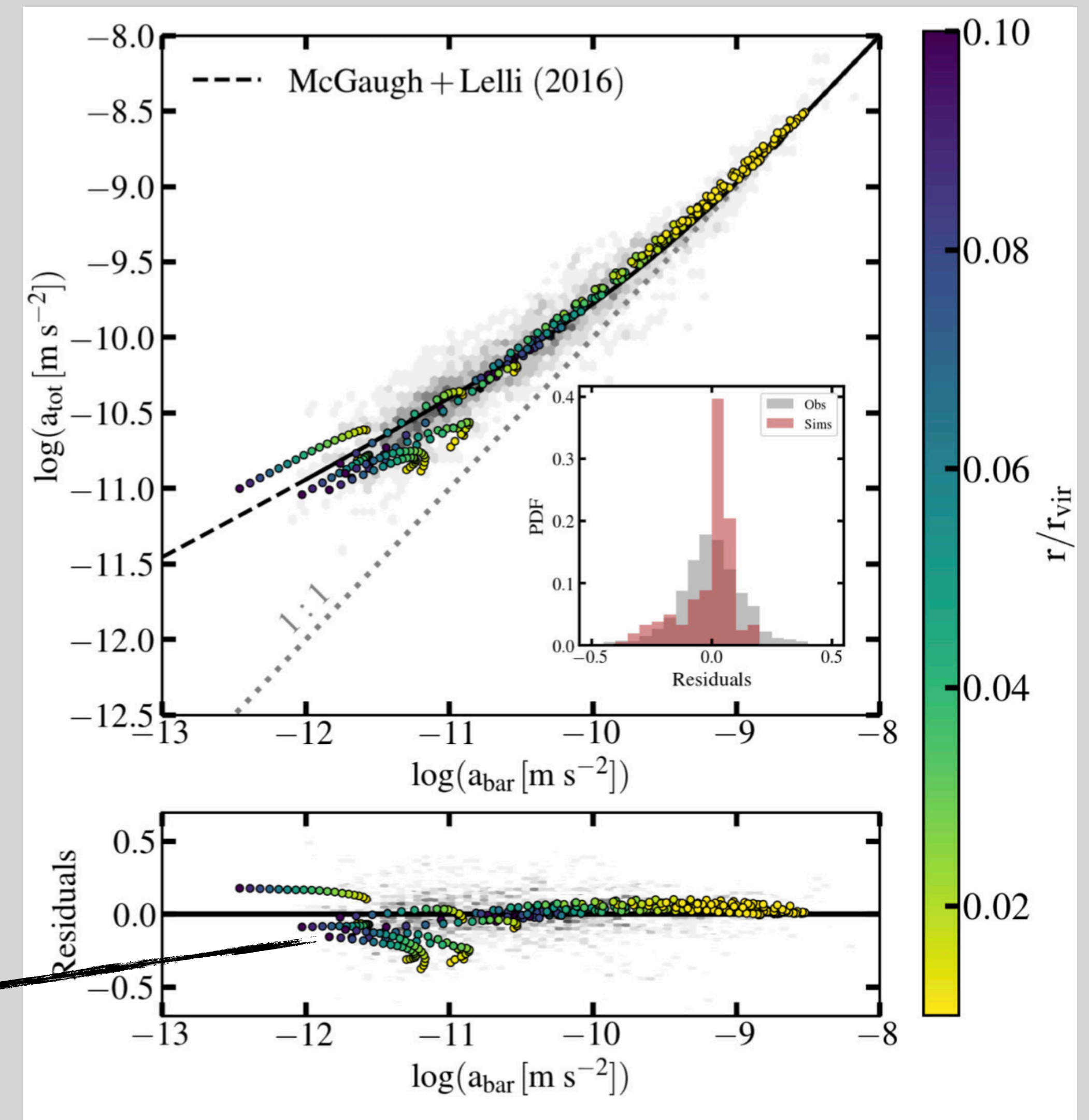
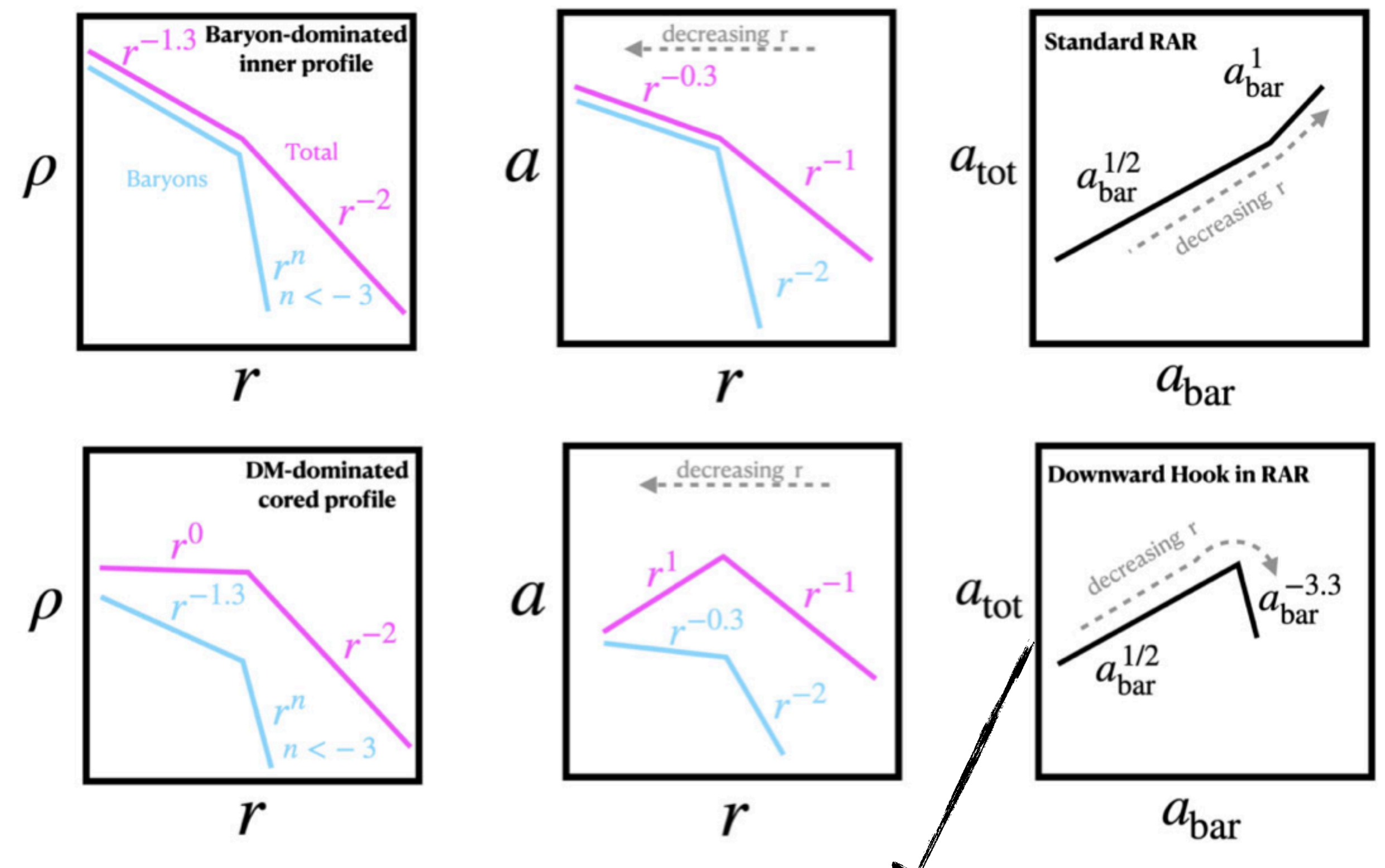
## ► Dark matter fraction - stellar mass surface density relation



► 89% of the sample has dark matter fractions larger than 50% within  $R_e$



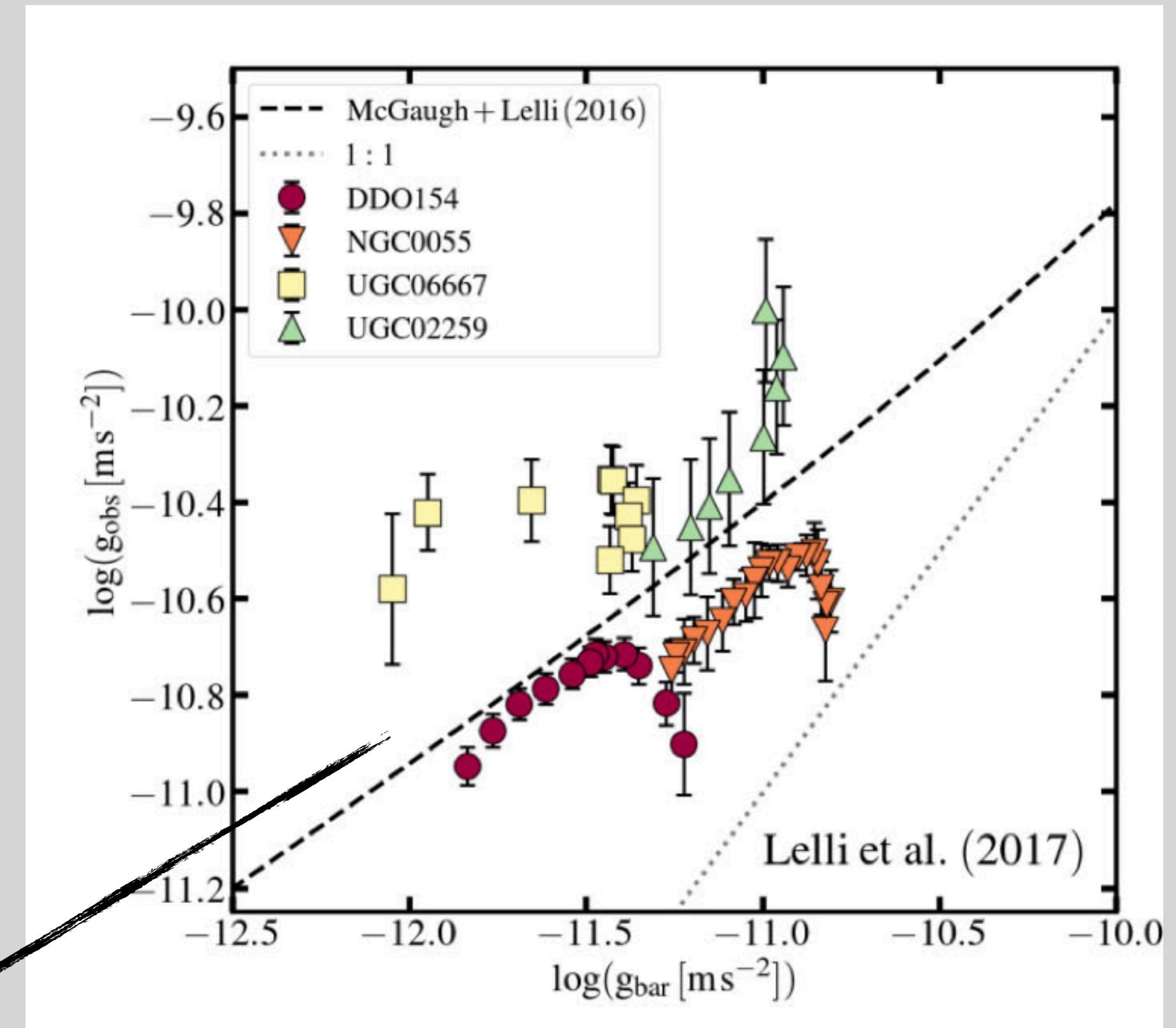
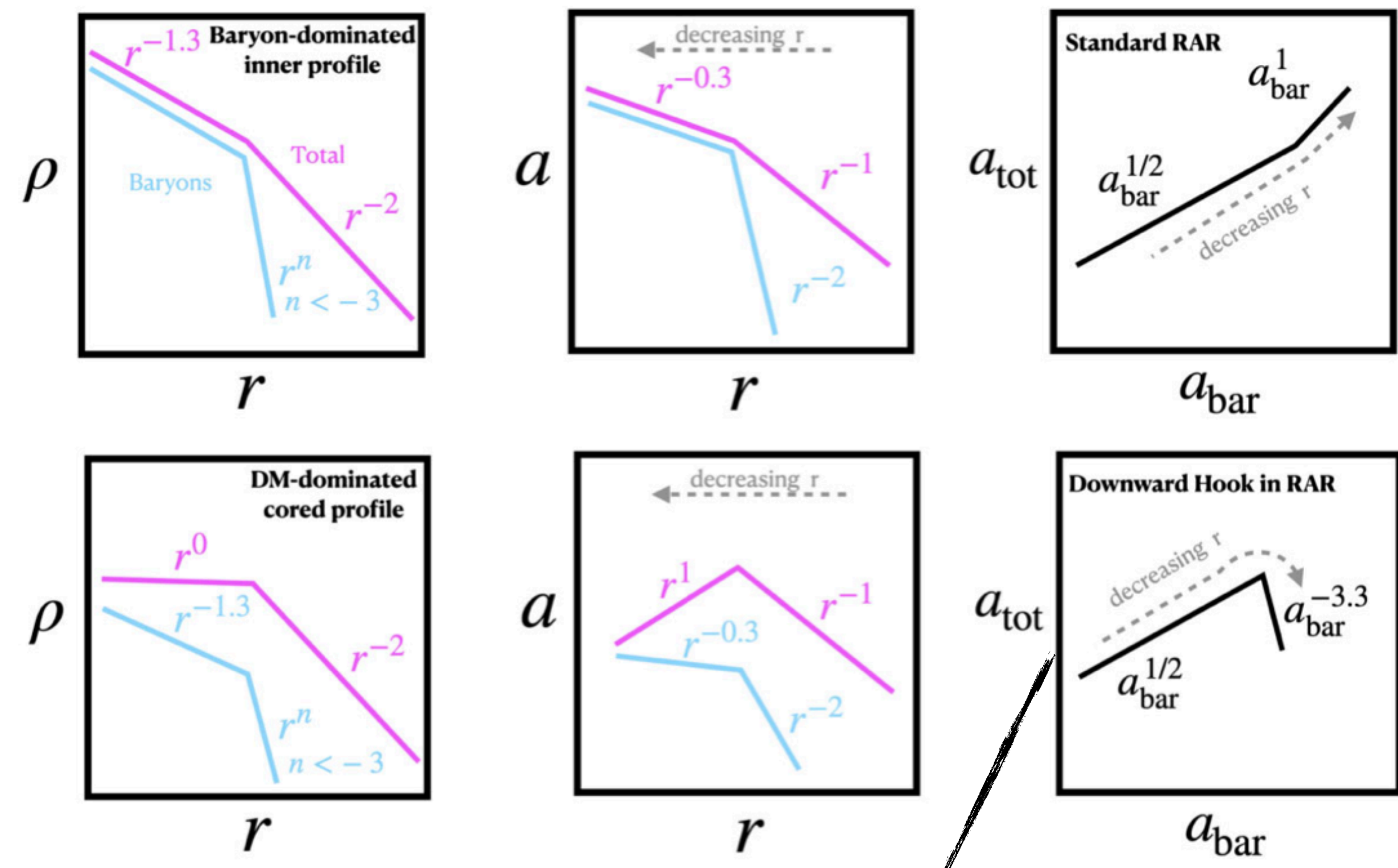
► RAR relation -predictions from FIRE-2 simulations (Mercado+24)



expected in  $\Lambda\text{CDM}$  but not in MOND



► RAR relation -predictions from FIRE-2 simulations (Mercado+24)

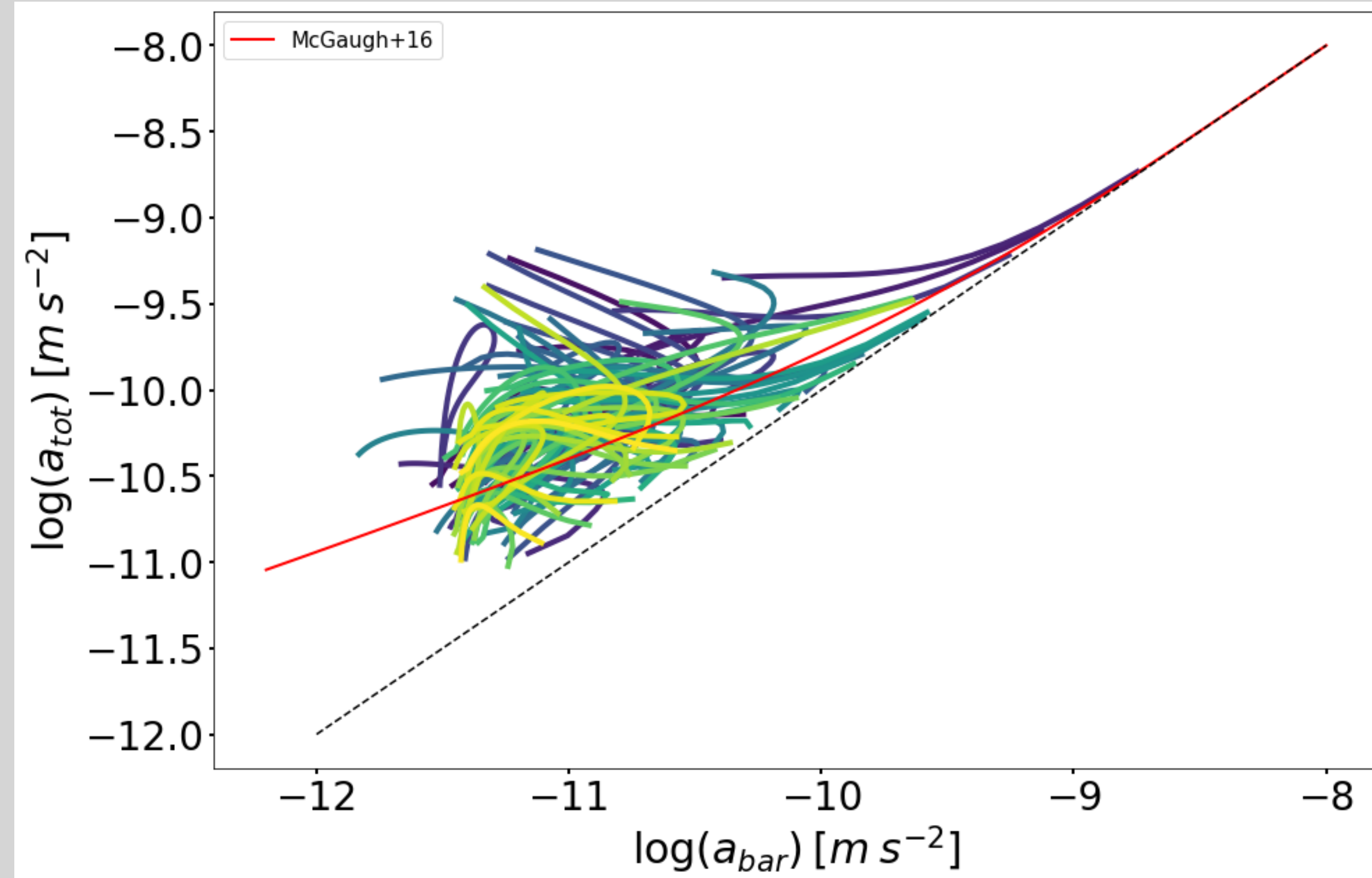


SPARC galaxies

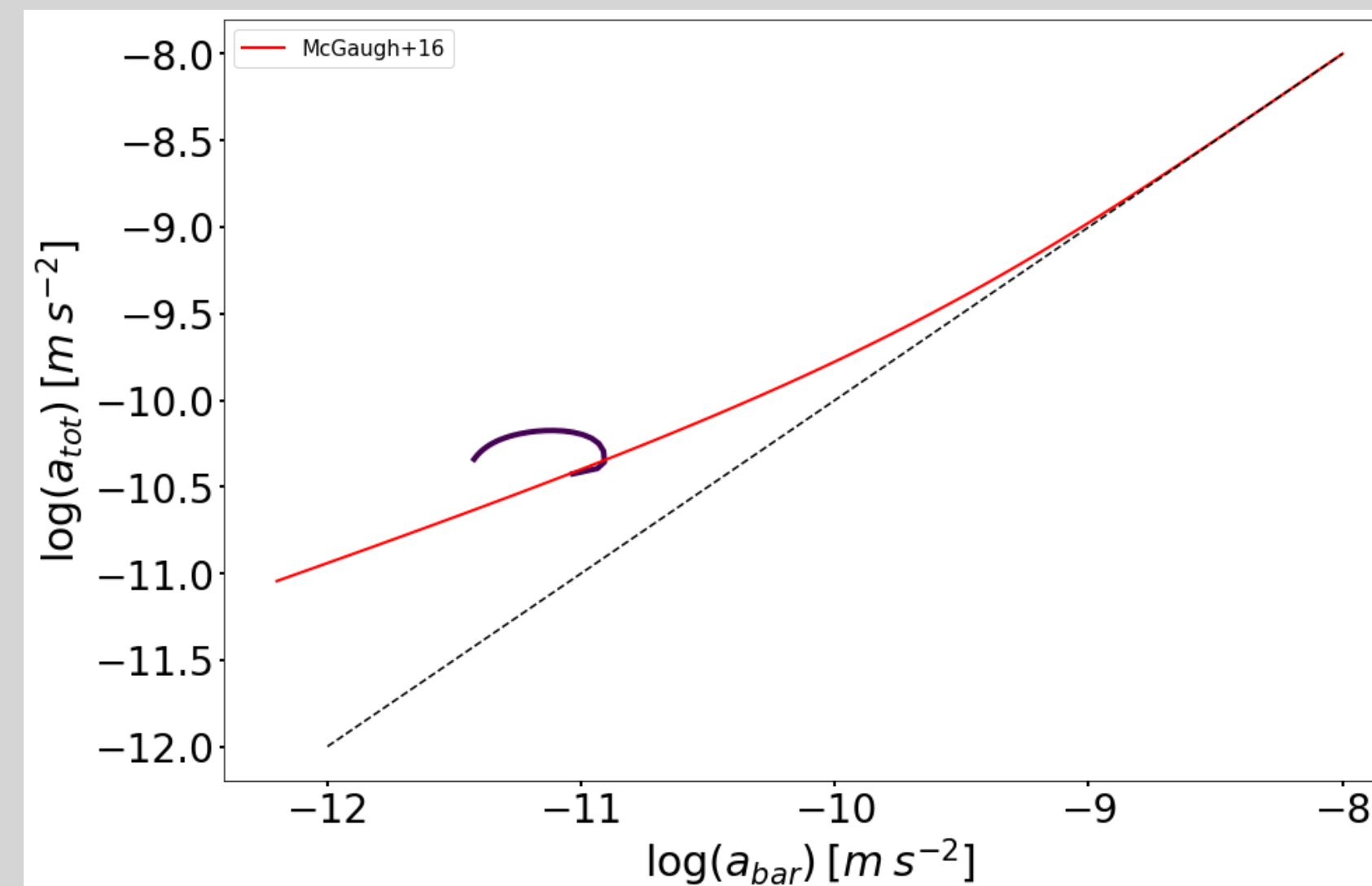
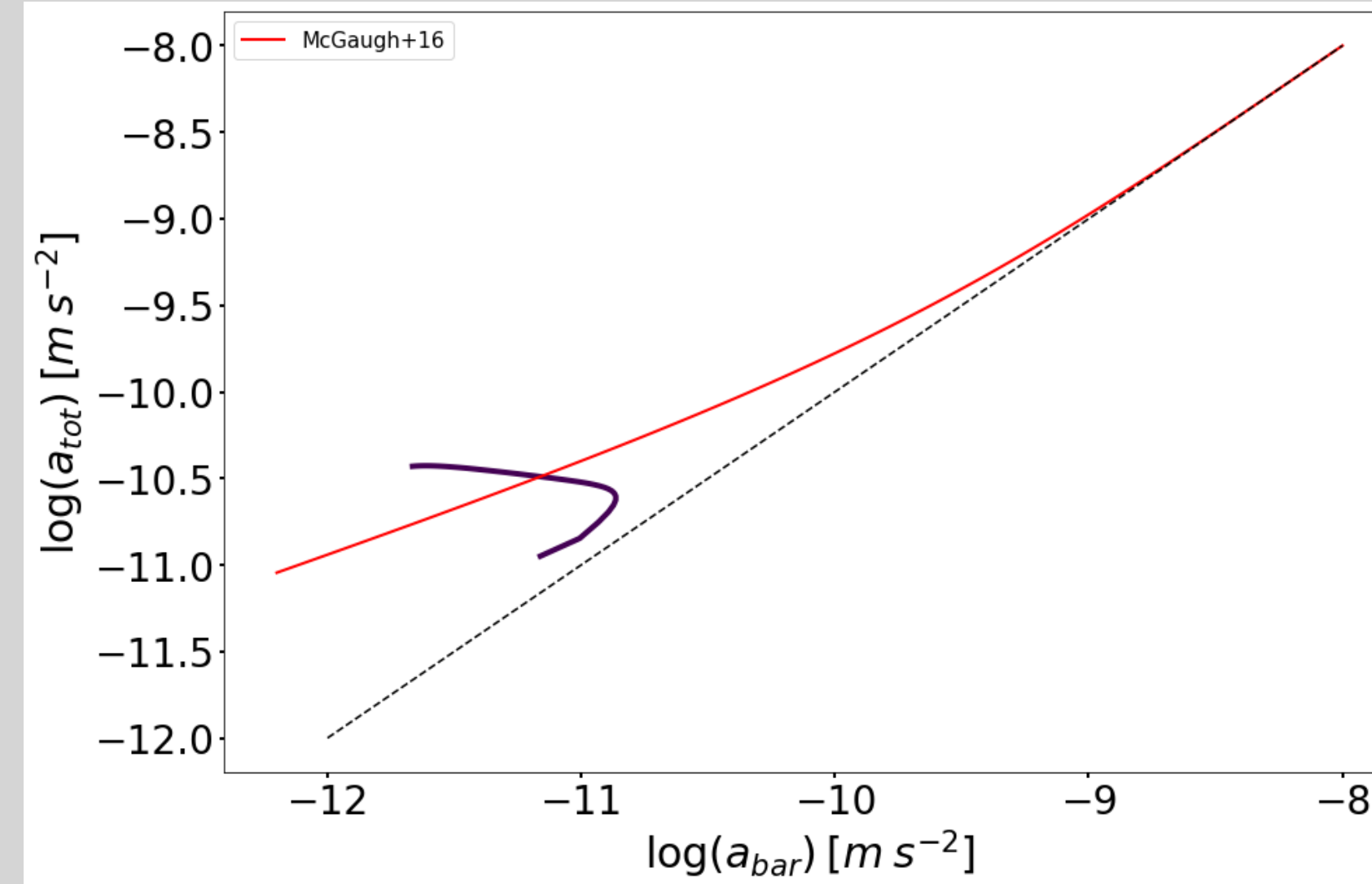
expected in  $\Lambda$ CDM but not in MOND



## ► RAR relation



## ► For cored galaxies



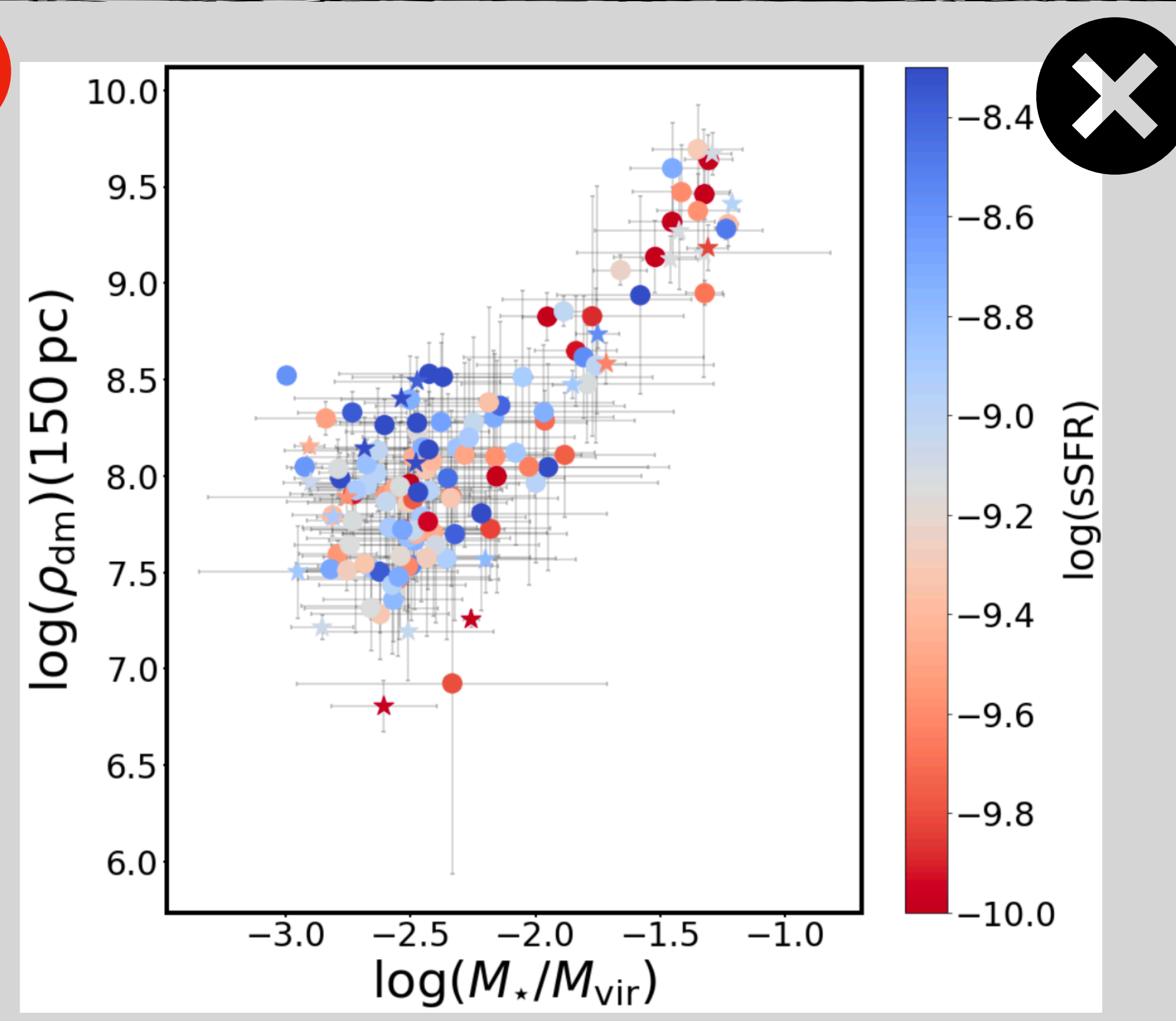
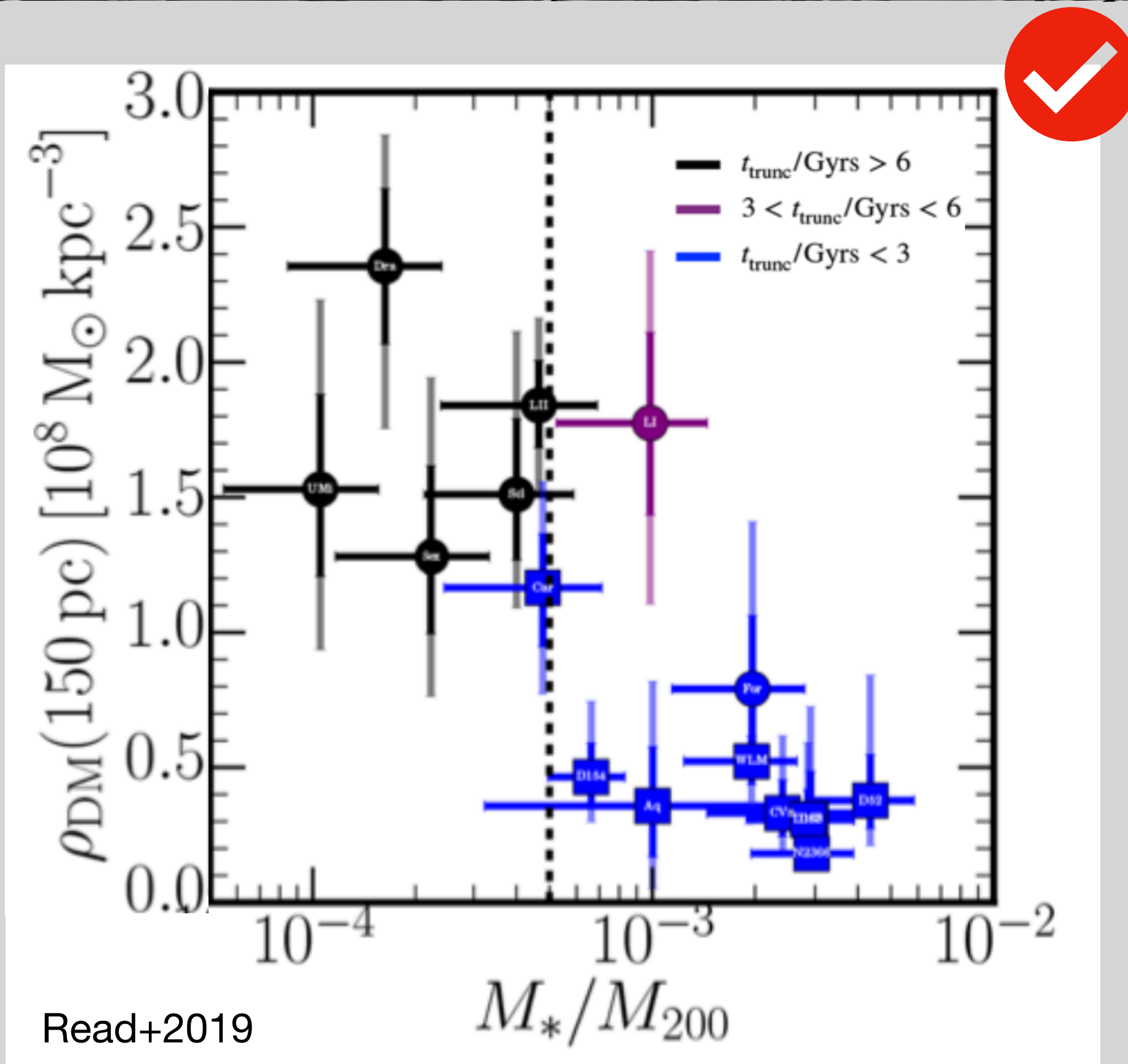
Rules out MOND ???





# Is baryonic feedback the answer?

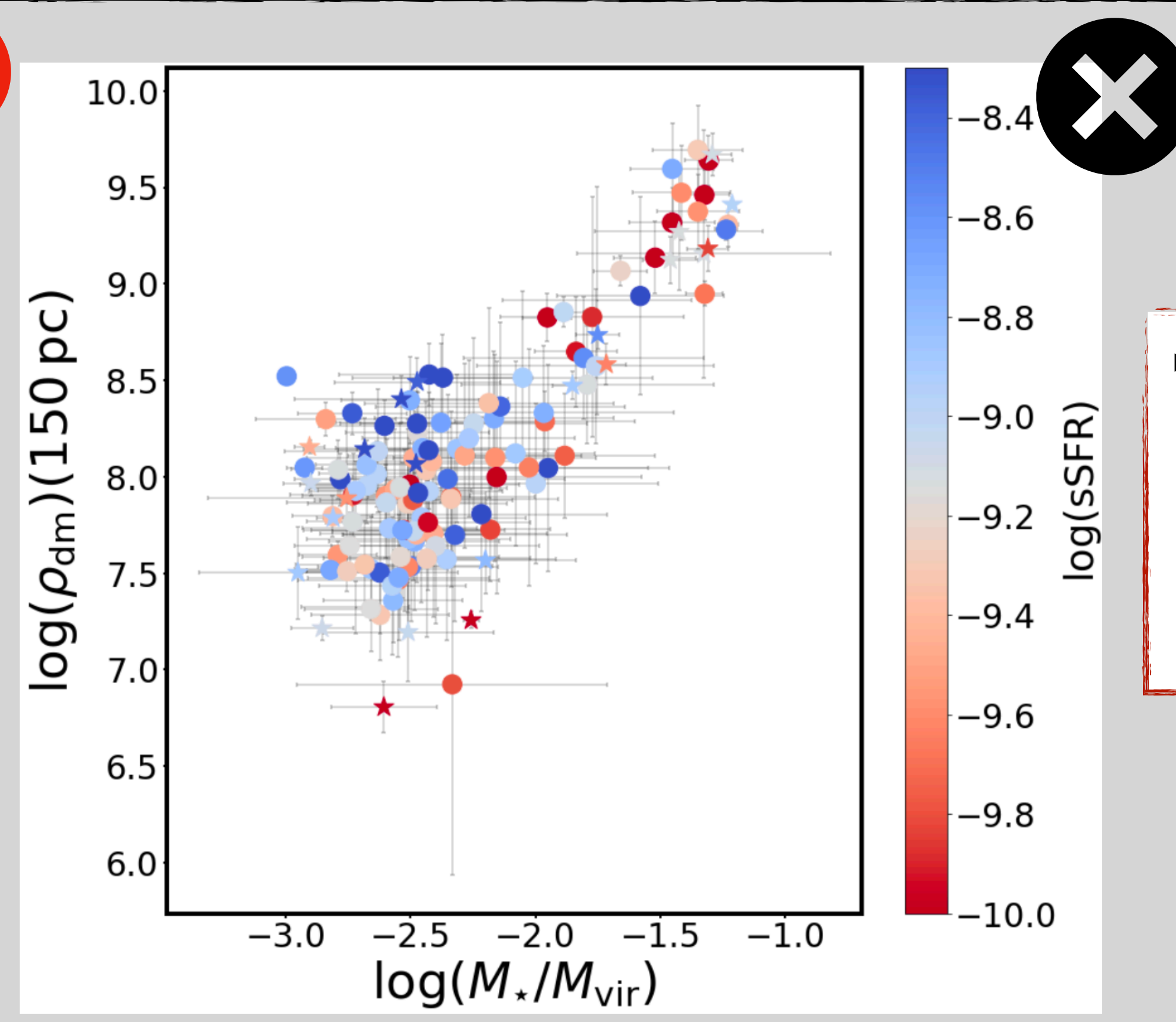
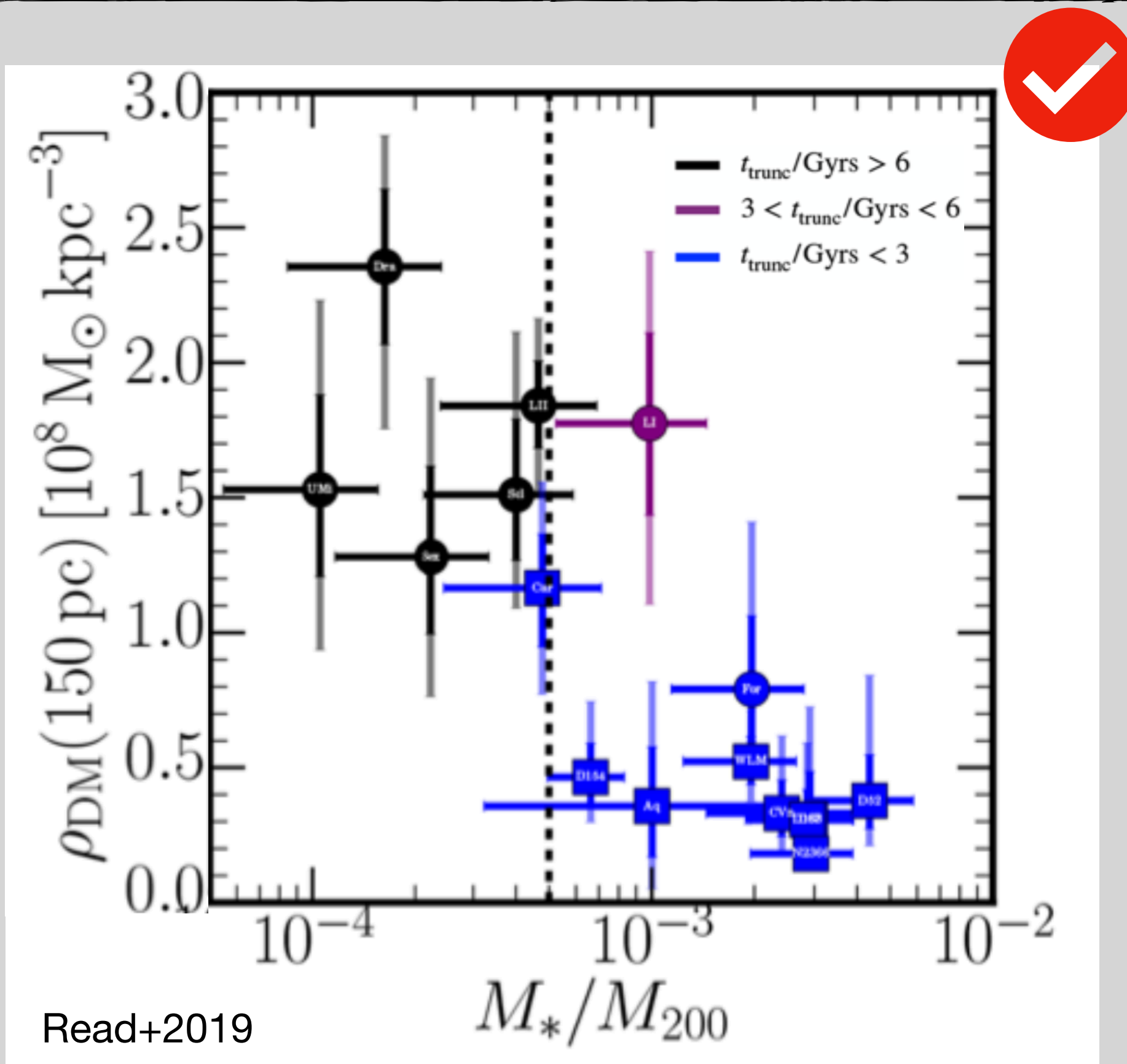
- Observationally, cores have been detected up to  $z \sim 2$
- No clear correlation between core formation and stellar feedback yet





# Is baryonic feedback the answer?

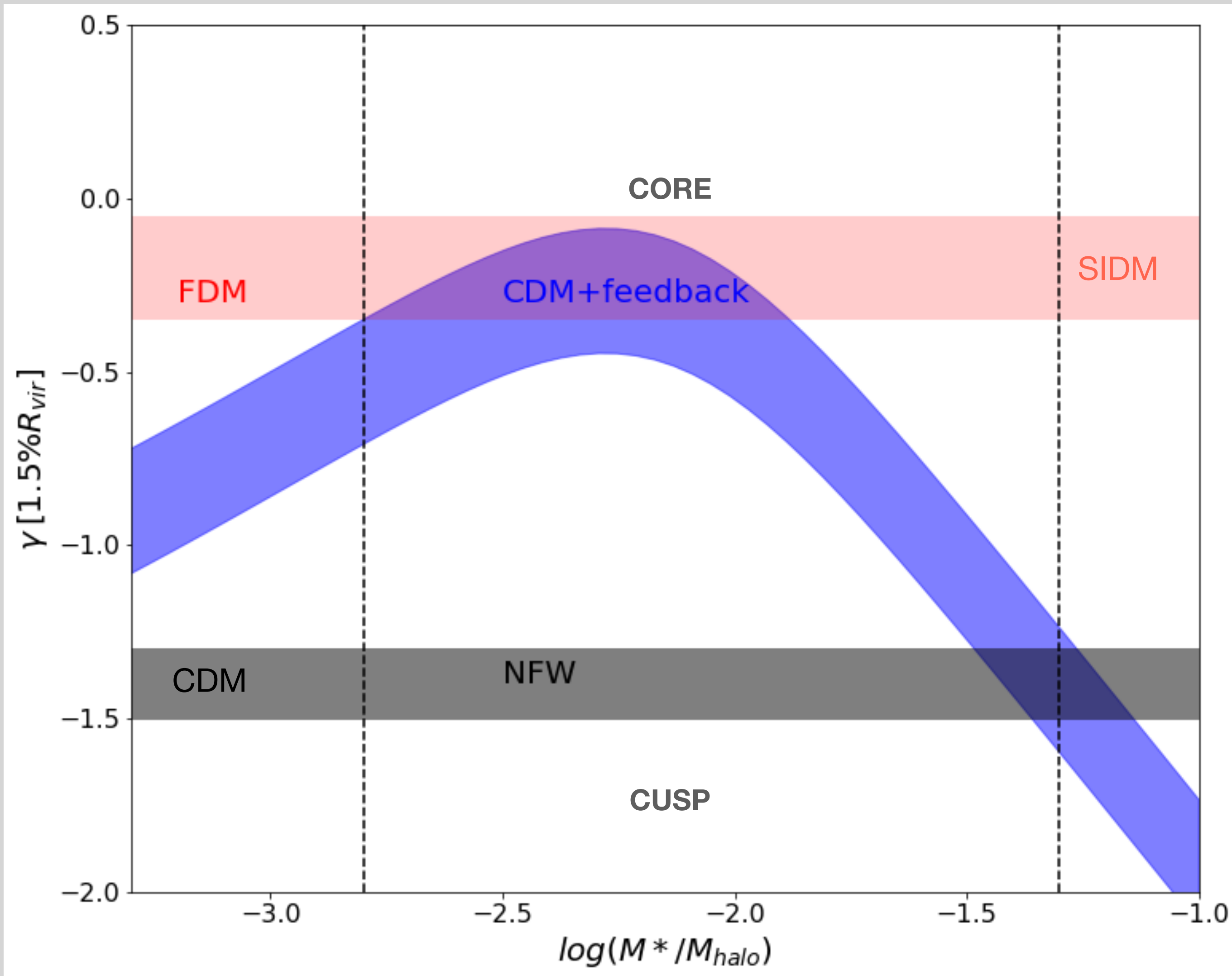
- Observationally, cores have been detected up to  $z \sim 2$
- No clear correlation between core formation and stellar feedback yet



▸ Need to link dark matter densities / inner slopes to the star formation histories



# Core-cusp problem: alternative solutions



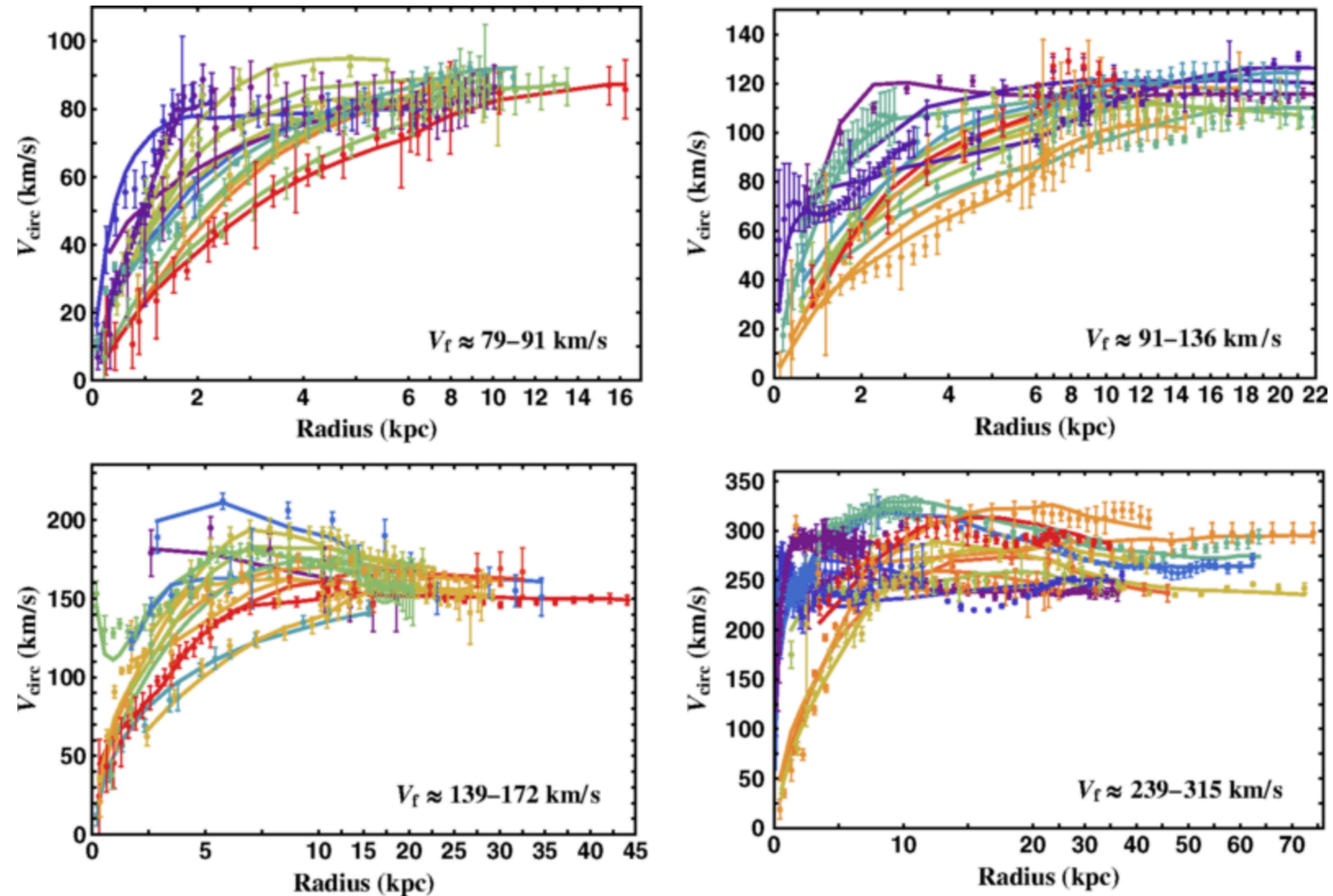
➡ alternative models of dark matter:

- ▶ **self-interacting dark matter** (Spergel +2000)
- ▶ **axion-like fuzzy dark matter** (Hu+2000)
- ▶ **warm dark matter** (Bode+2001)



# Diversity of Rotation Curves: alternative solutions

FIG. 1.



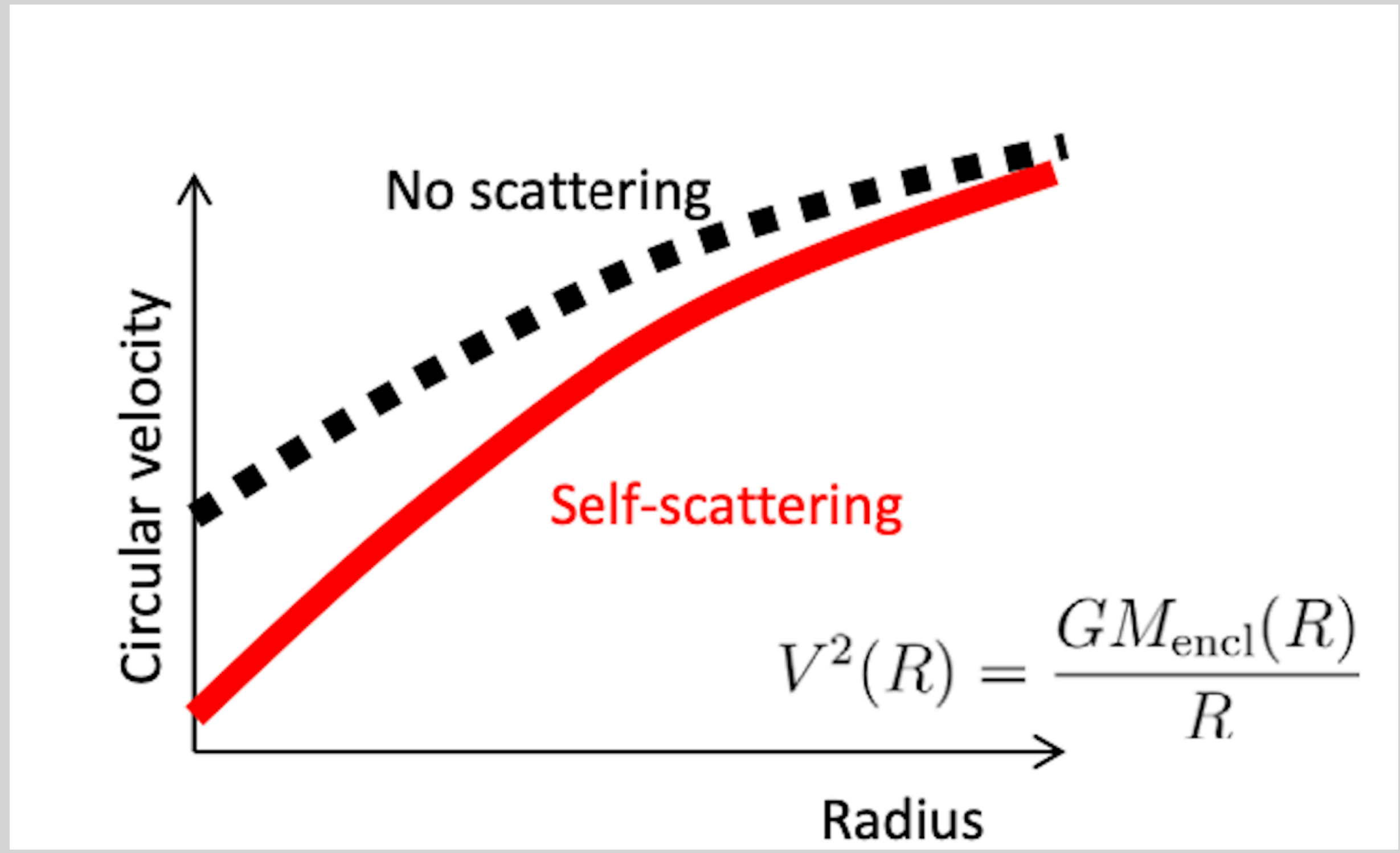
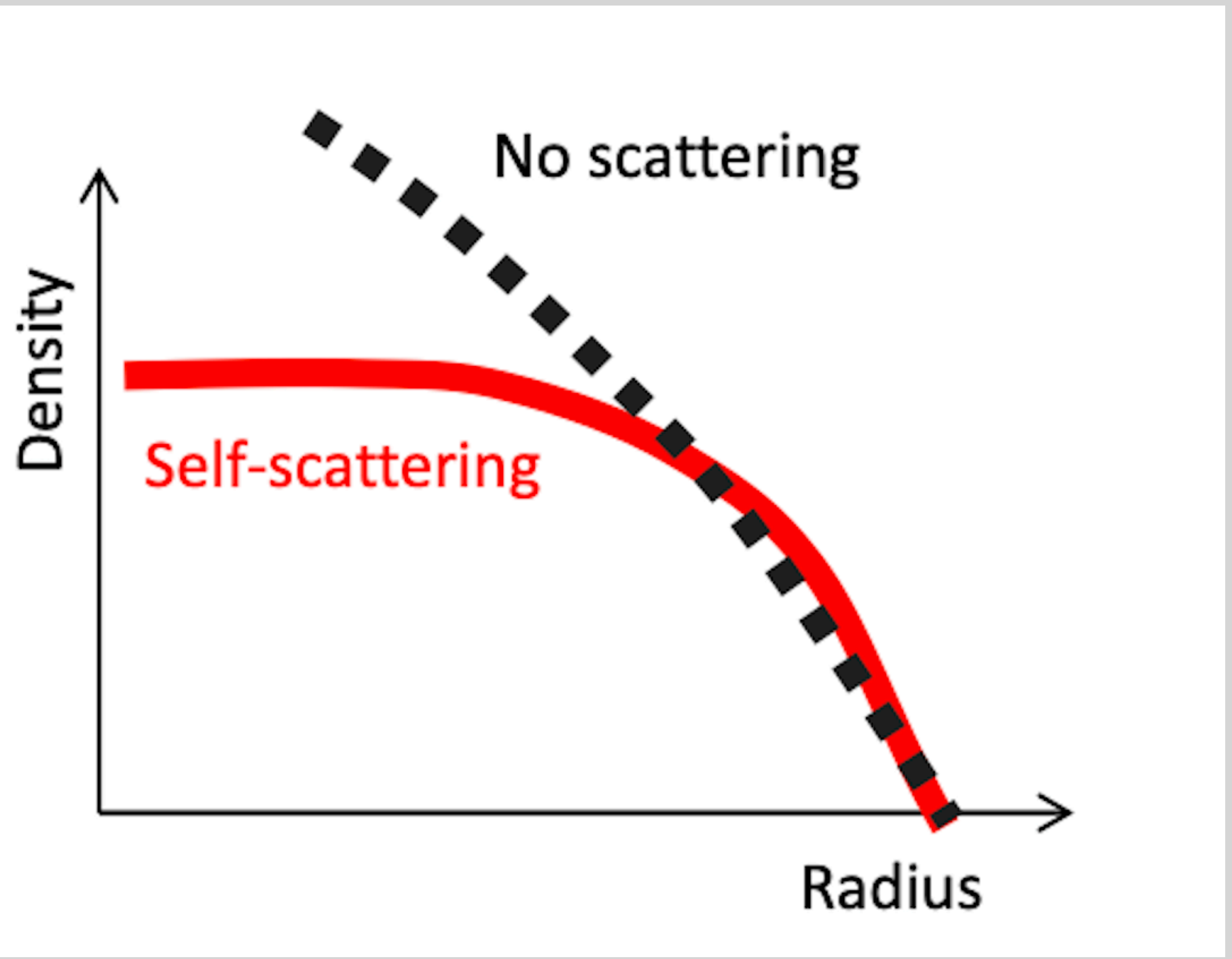
➔ alternative models of DM:  
▶ **self-interacting dark matter**

Ren +2019, Kamada+2017



# Self Interacting Dark Matter

➔ the particles have a significant self-interaction cross section



**Self-interactions solve core-vs-cusp**  
*Particles get scattered out of dense halo centers*



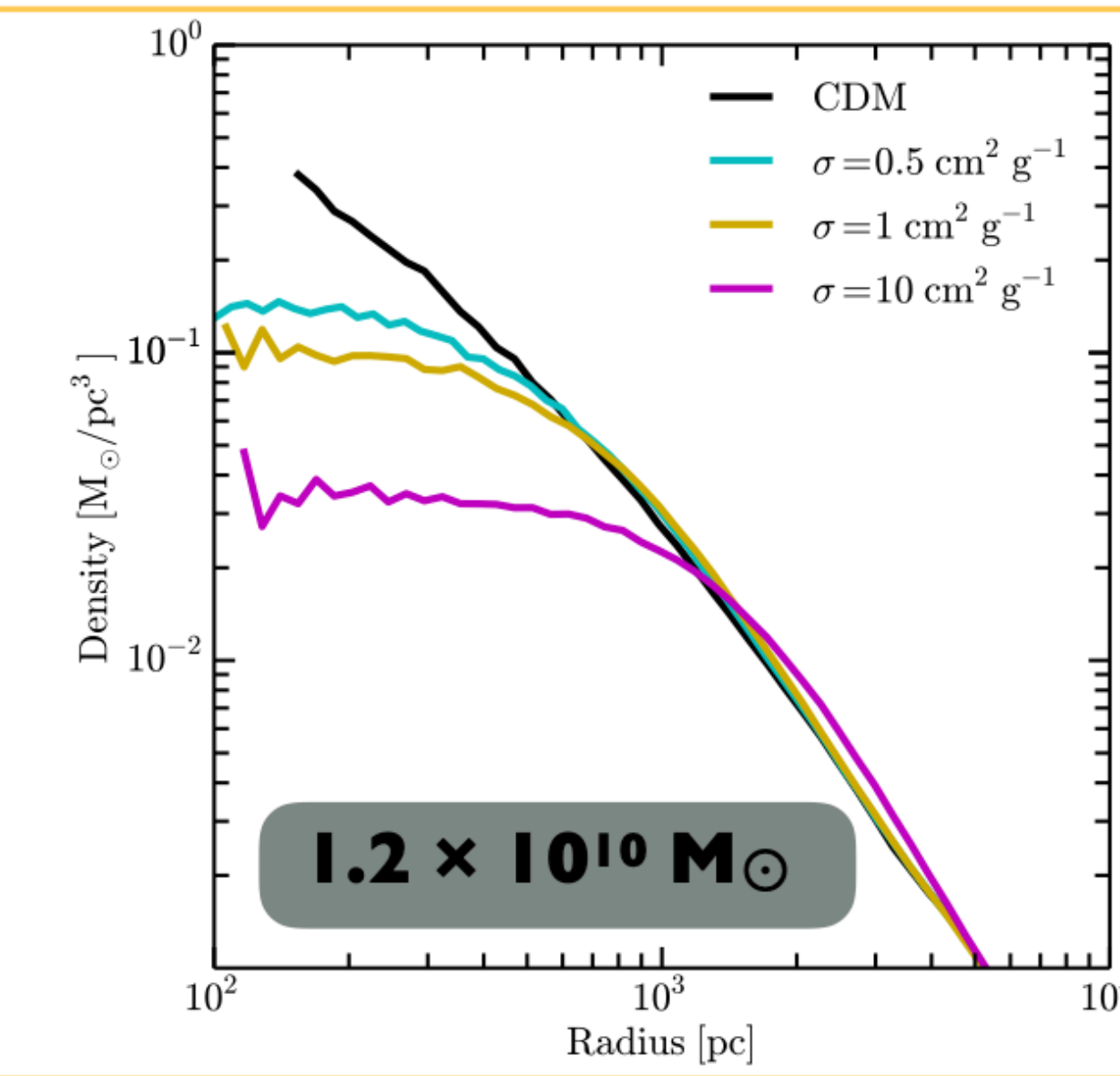
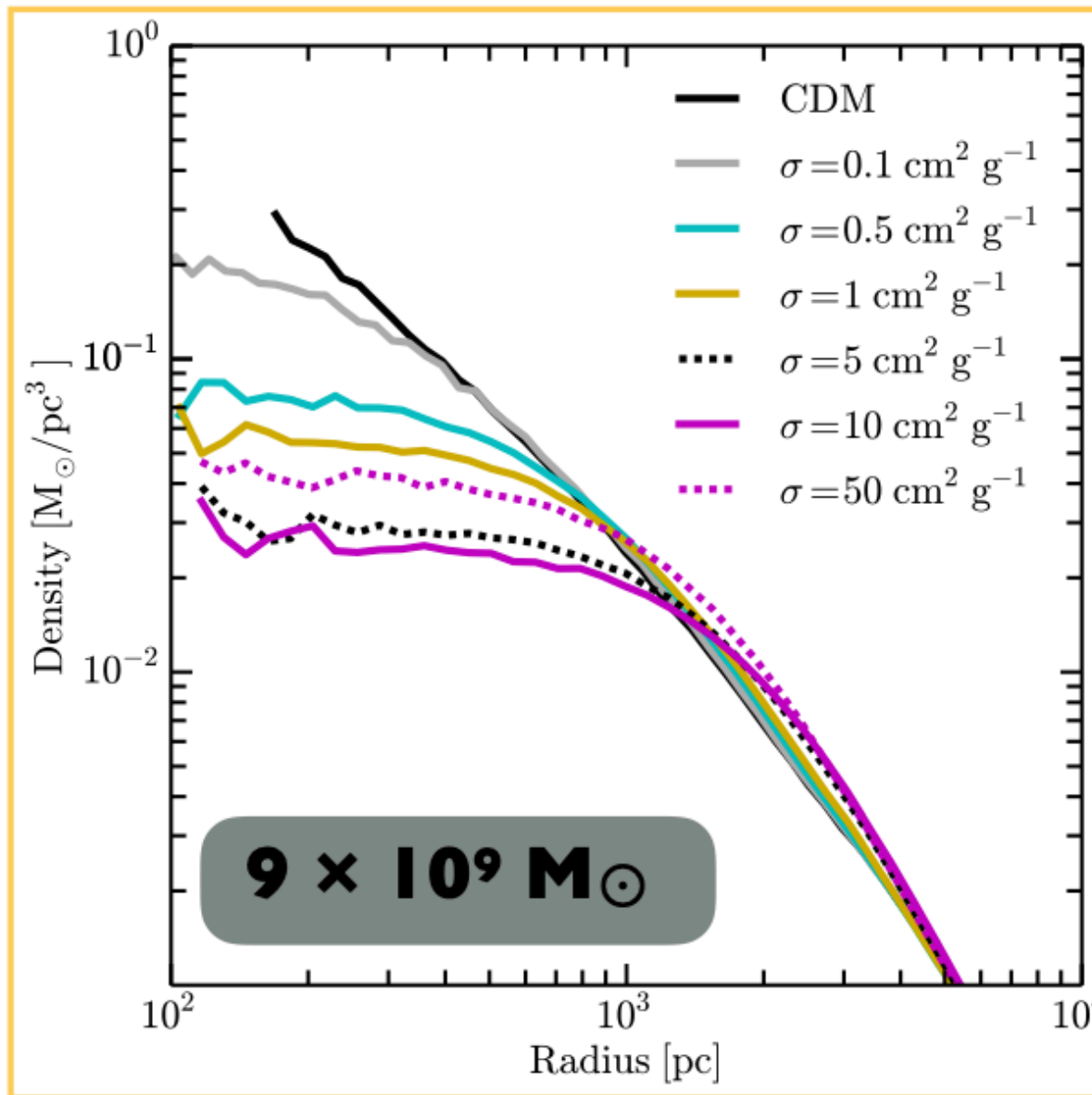
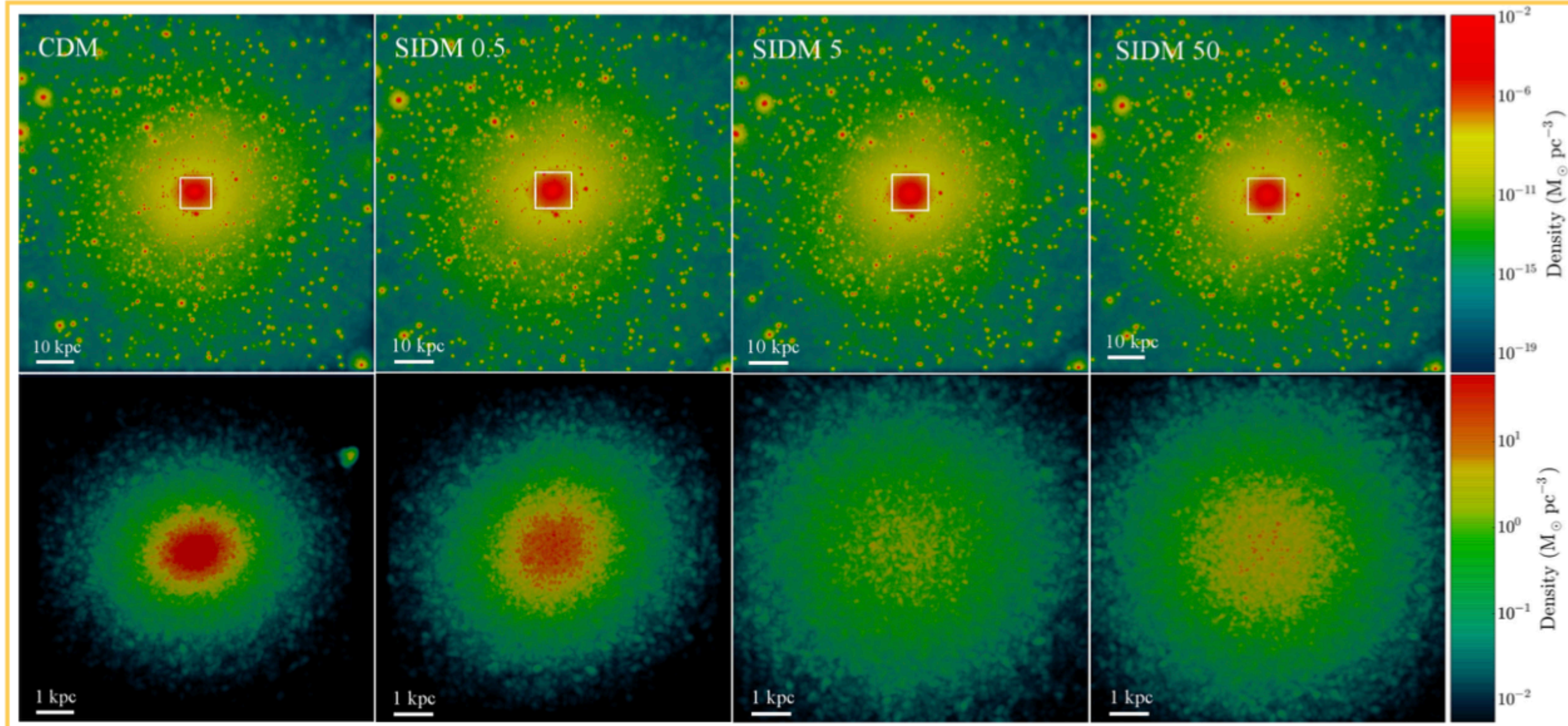
# Self Interacting Dark Matter

parameter governing the rate of DM particle interactions is the cross section per unit mass:  $\sigma/m_\chi$

$\sigma/m_\chi$ : velocity dependent

$\sigma/m \sim 0.5 - 50 \text{ cm}^2/\text{g}$  to form kpc core in dwarf galaxy

shares the success of  $\Lambda\text{CDM}$  on large scales

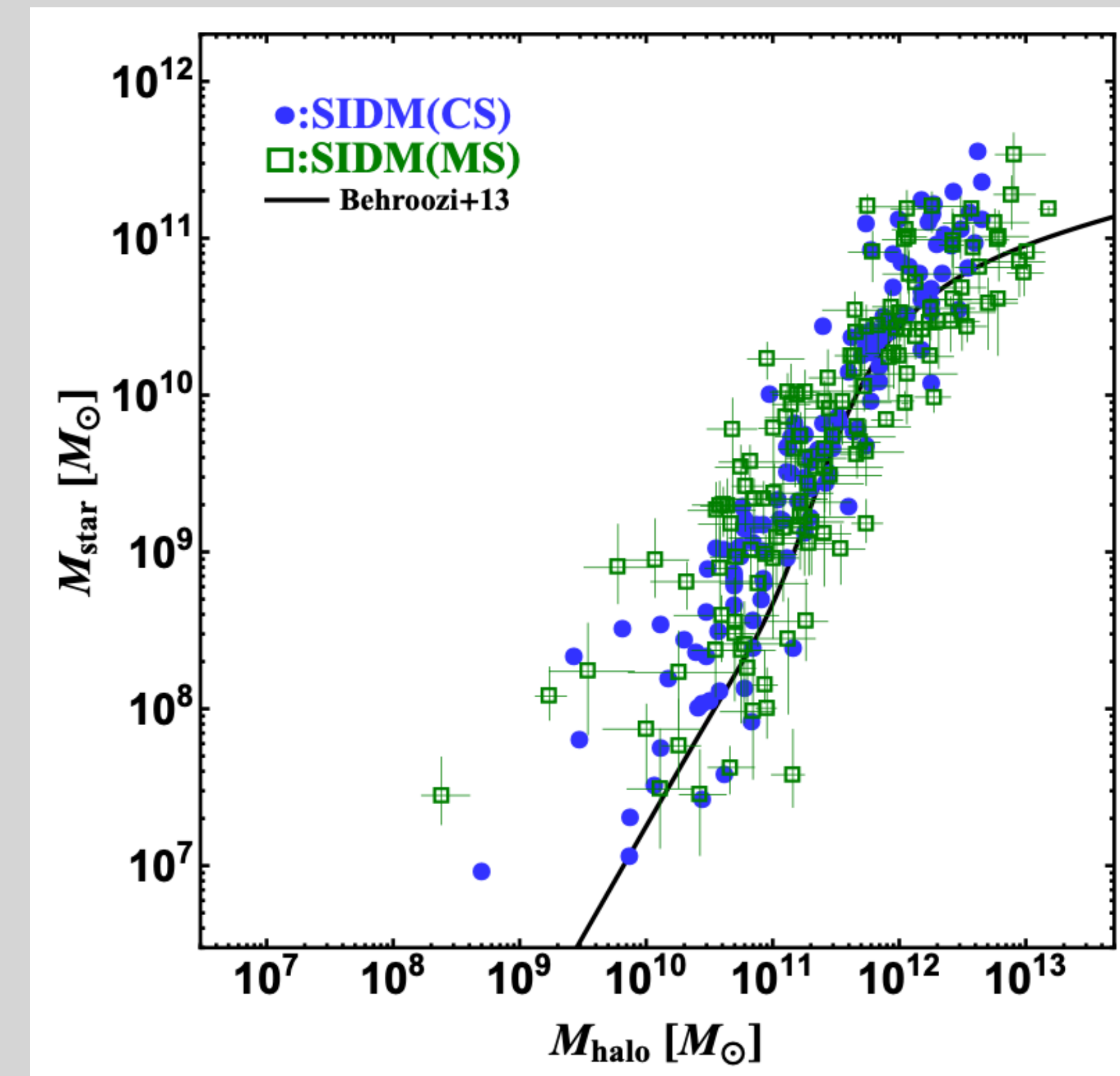
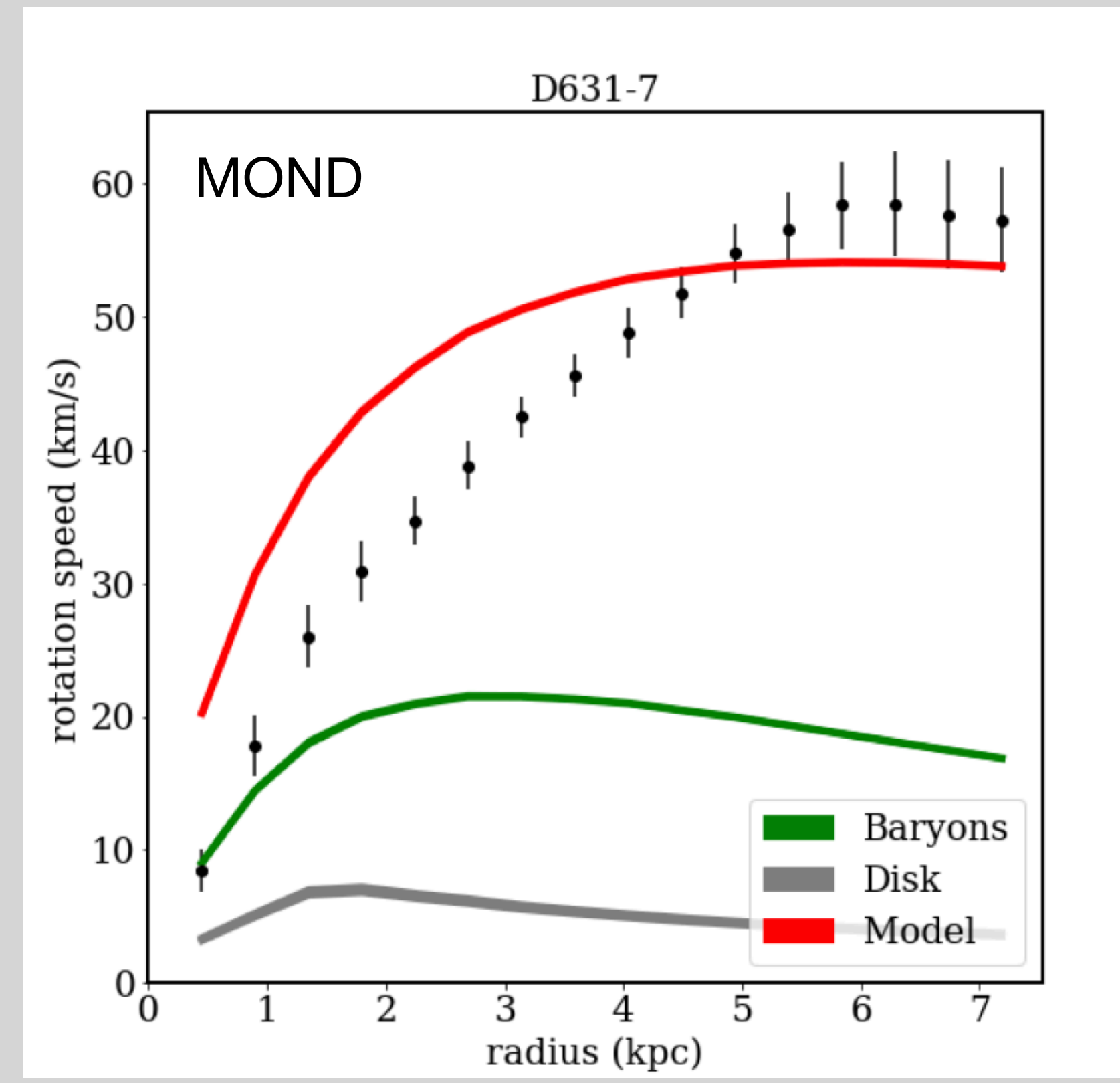
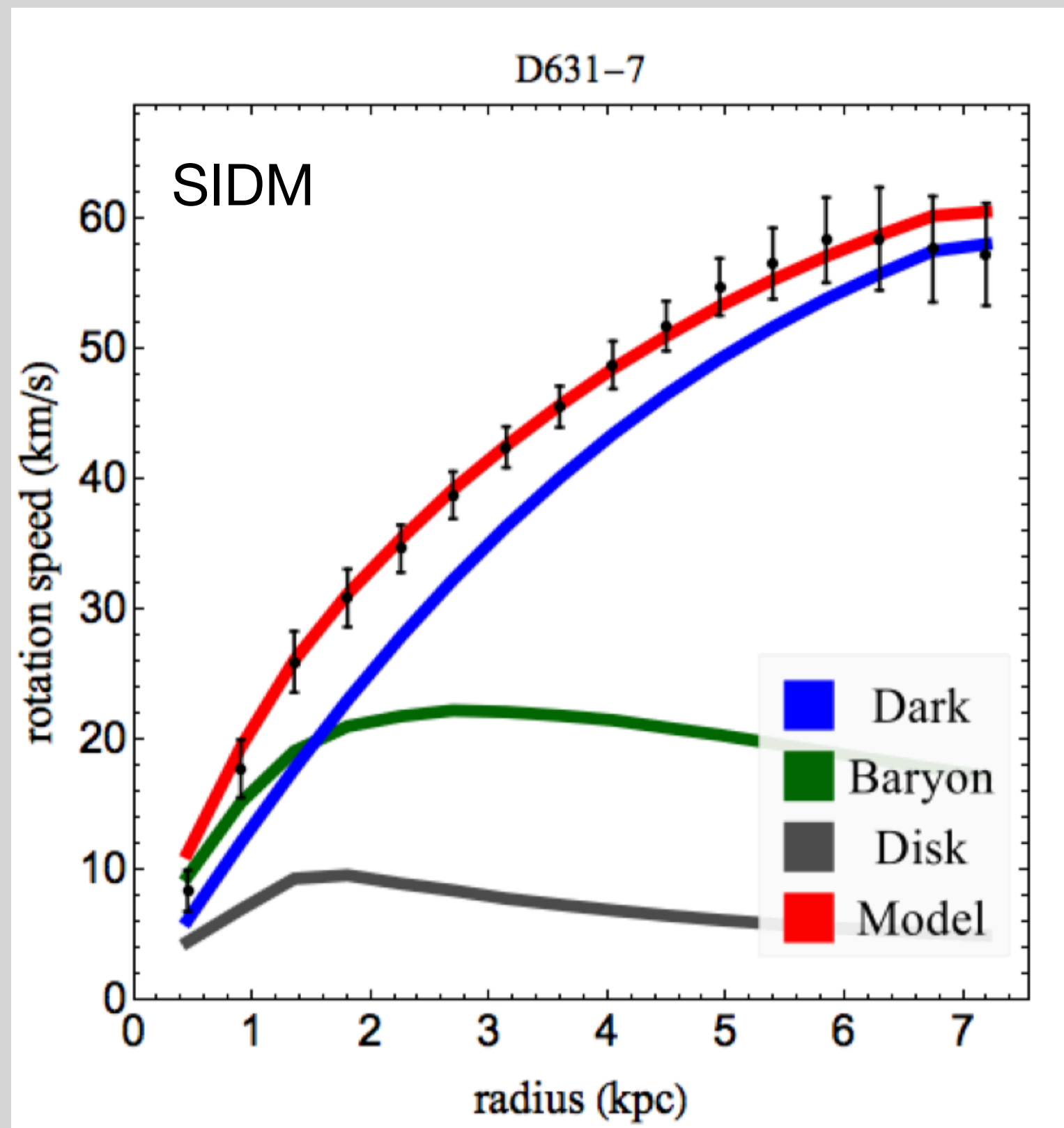


Elbert et al.2015



# Self interacting Dark Matter and rotation curves: Ren +2018

- ▶ Rotation curve decomposition for 135 local galaxies (SPARC sample - Ha+HI)
- ▶ Constant  $\sigma/m = 3 \text{ cm}^2/\text{g}$

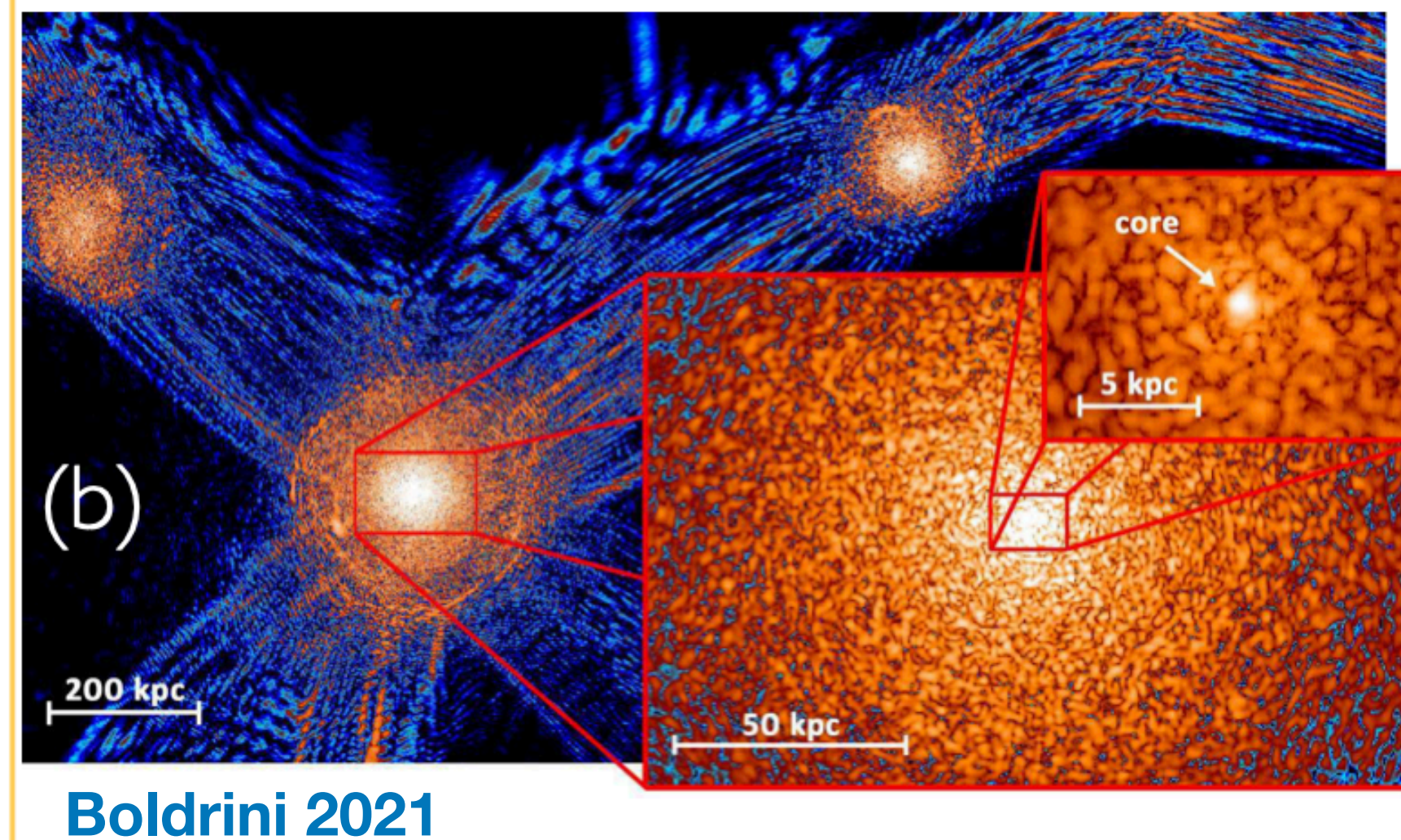
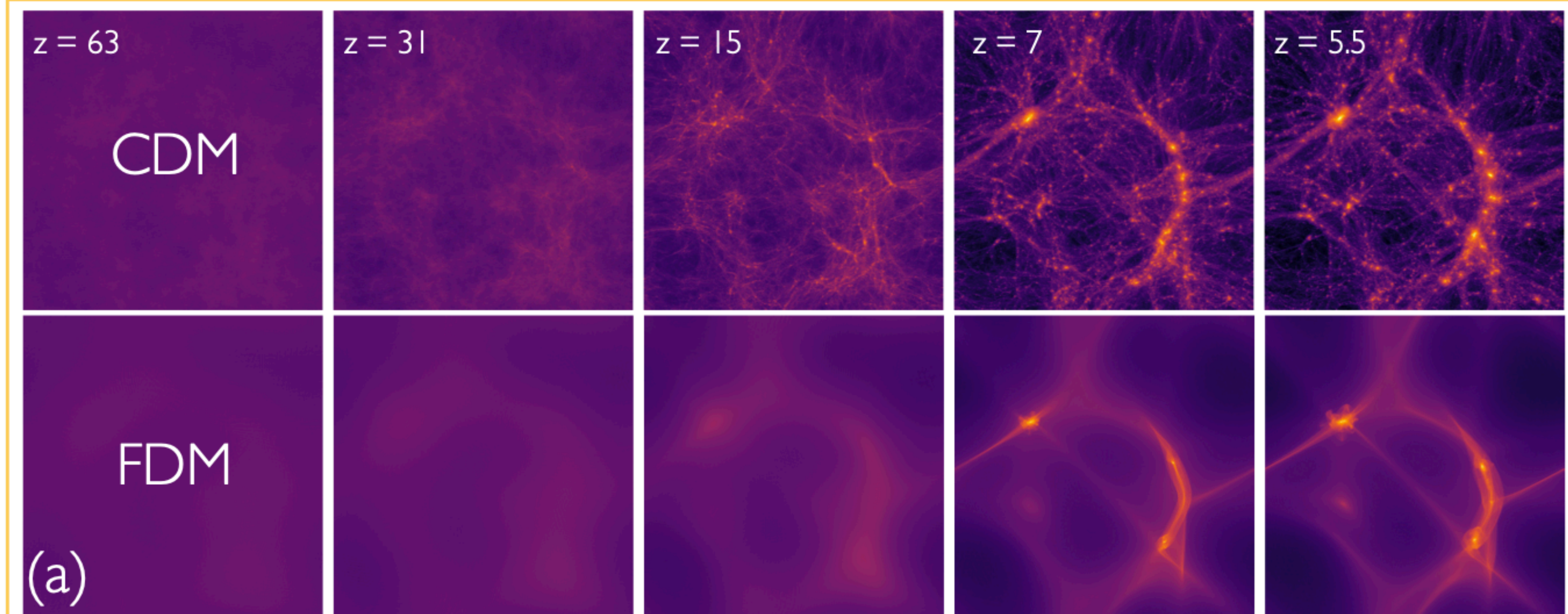


- ➔SIDM preferred over MOND
- ➔recover stellar mass-halo mass relation, i.e. host halos are fully consistent with the Planck cosmology



# Fuzzy dark matter

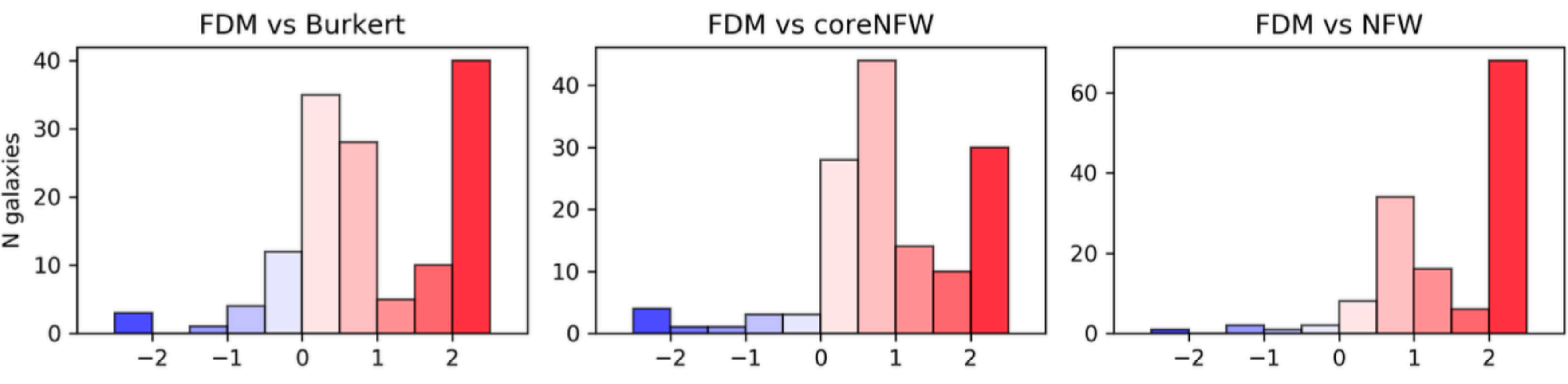
- ➔ Ultralight scalar field with no self-interactions in the non-relativistic limit
- ➔ low masses:  $\sim 10^{-24}$  to  $10^{-19}$  eV
- ➔ suppresses structure formation on small scales
- ➔ wave nature of FDM leads to quantum pressure, preventing cusps
- ➔ form a Bose-Einstein condensate soliton



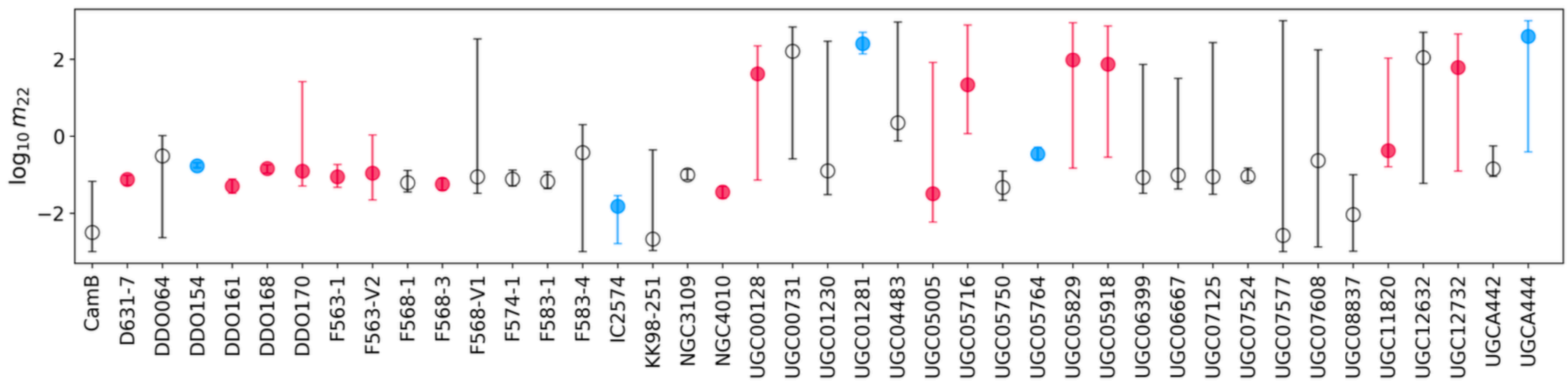


# Fuzzy dark matter and Rotation Curves: Khelashvili+23

- ▶ Rotation curve decomposition for 175 local galaxies (SPARC sample - Ha+HI)
- ▶ Model DM halo with (1) NFW; (2) coreNFW; and (3) fuzzy DM



➔ Fuzzy DM preferred by >50% of the sample

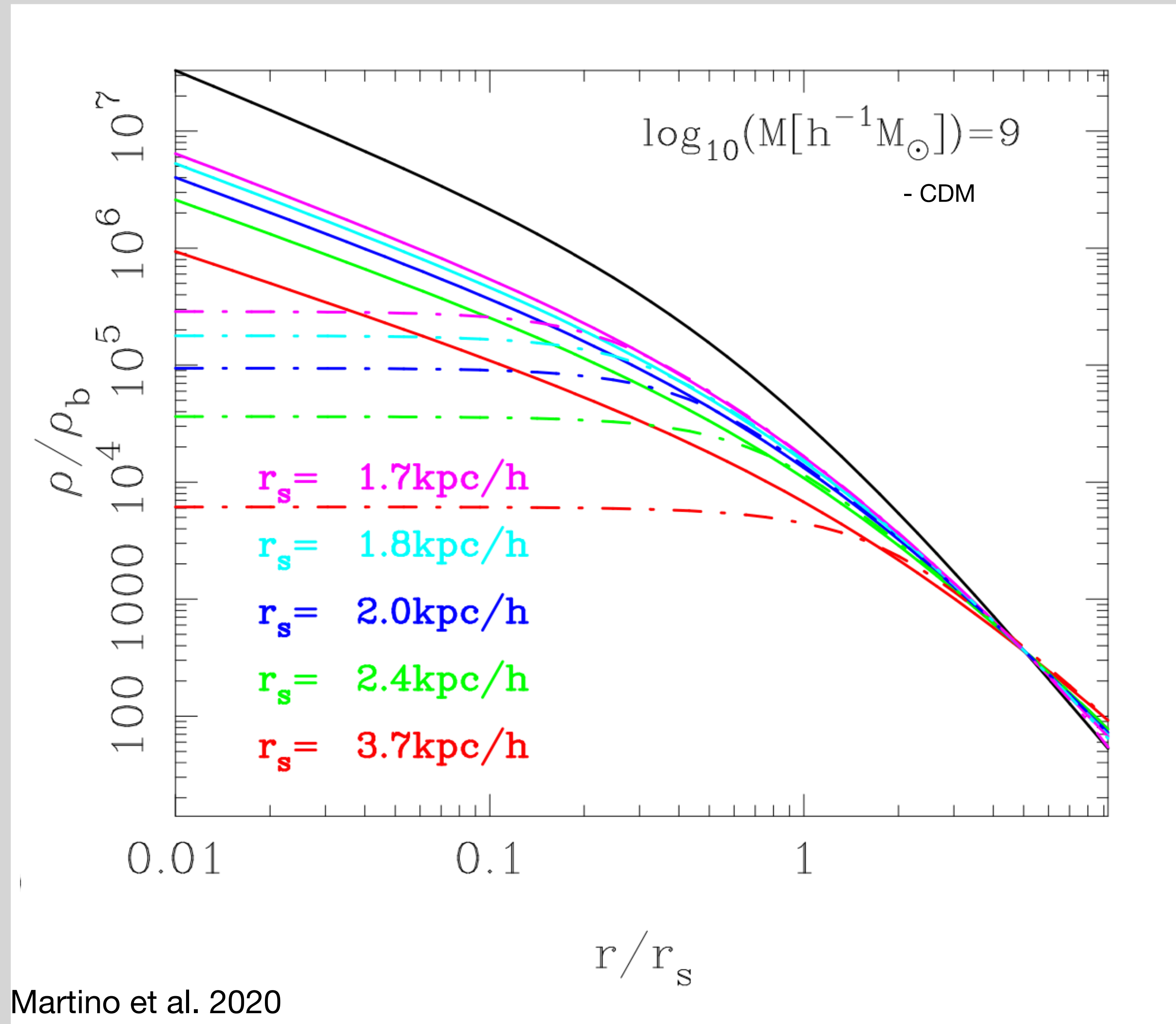


➔ No single value for the particle mass that provides a good fit for all galaxies



# Warm Dark Matter

- ➔ WDM particles decouple when they are still relativistic
- ➔ erase primordial fluctuations on subgalactic scales
- ➔ produce a cut-off in the primordial power spectrum
- ➔ reduce phase-space density resulting in the formation of cores
- ➔ observations of strong gravitational lensing / Lyman- $\alpha$  forest: particle mass of  $> 5.58$  keV /  $> 3.5$  keV



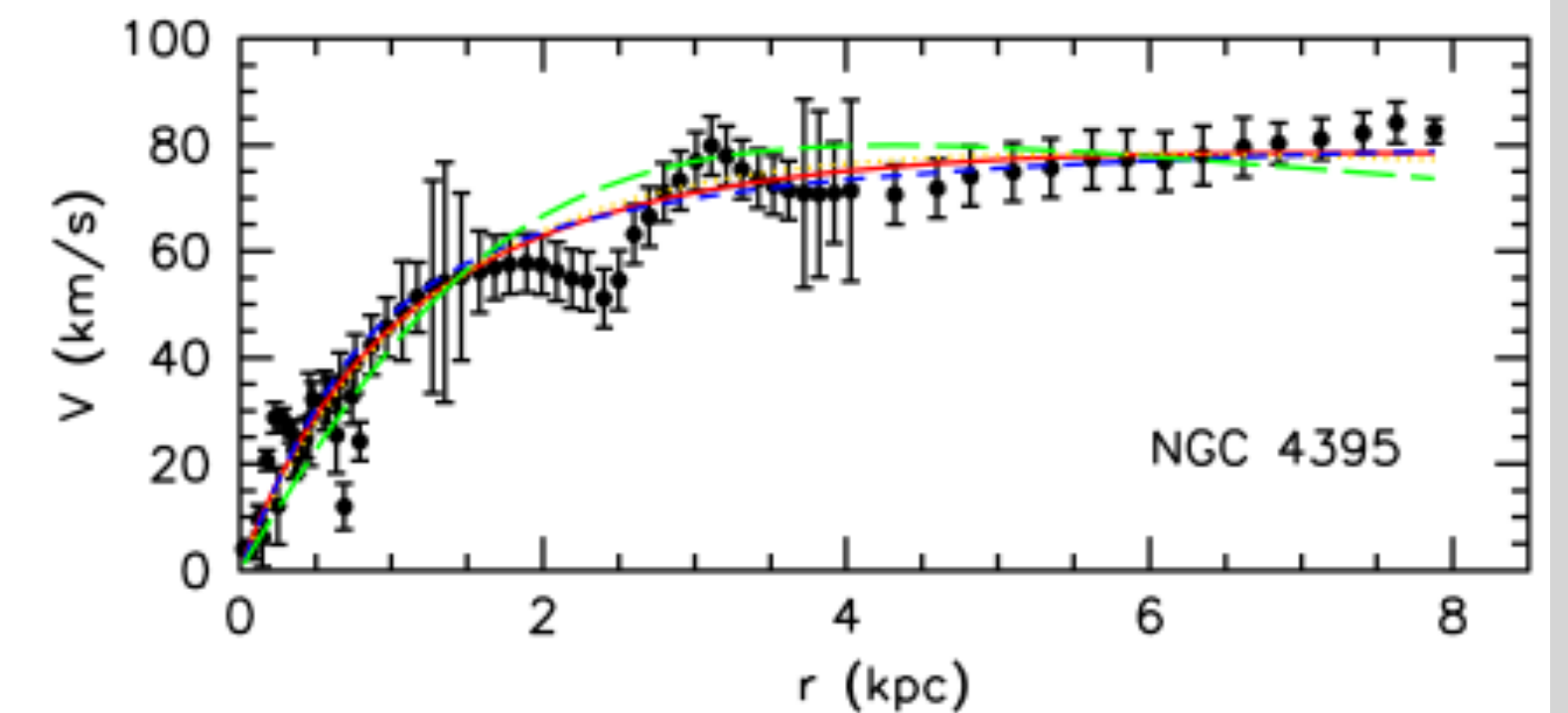
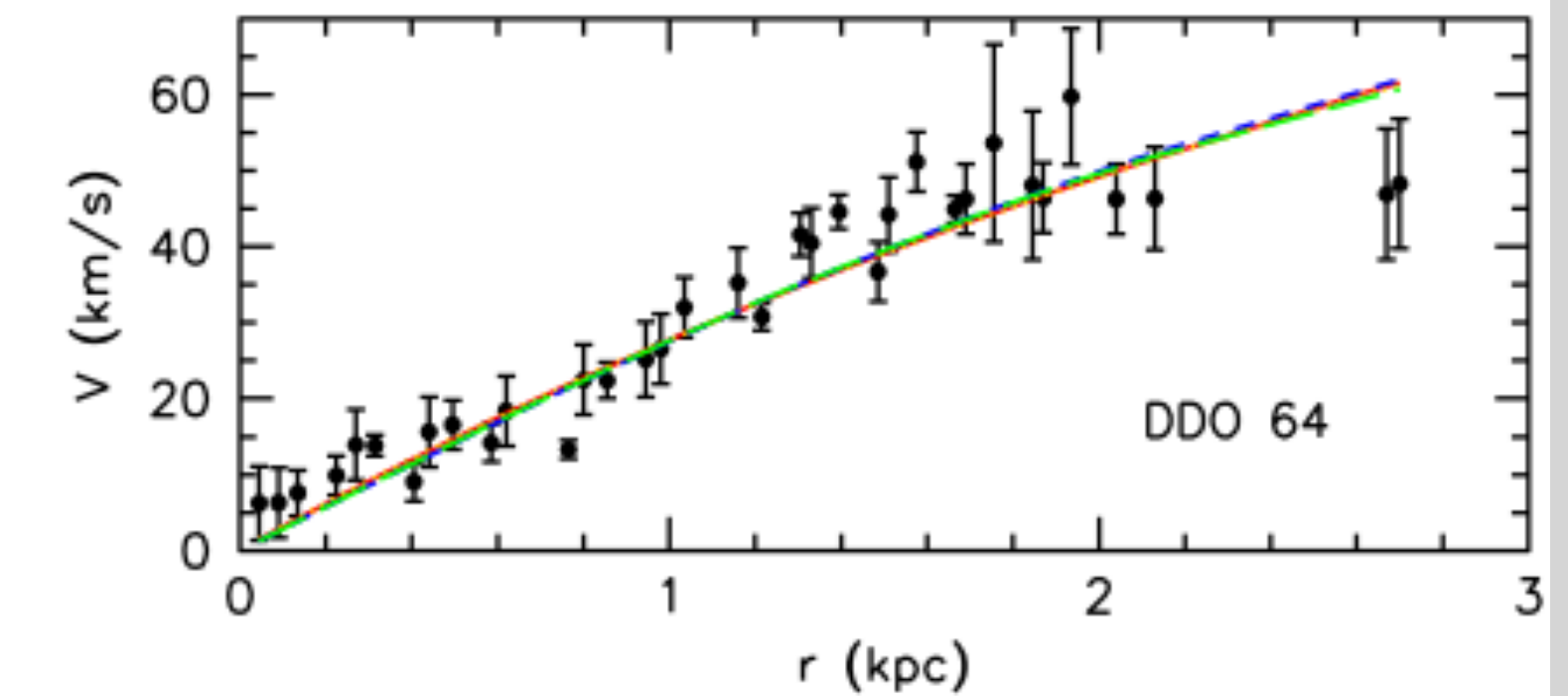
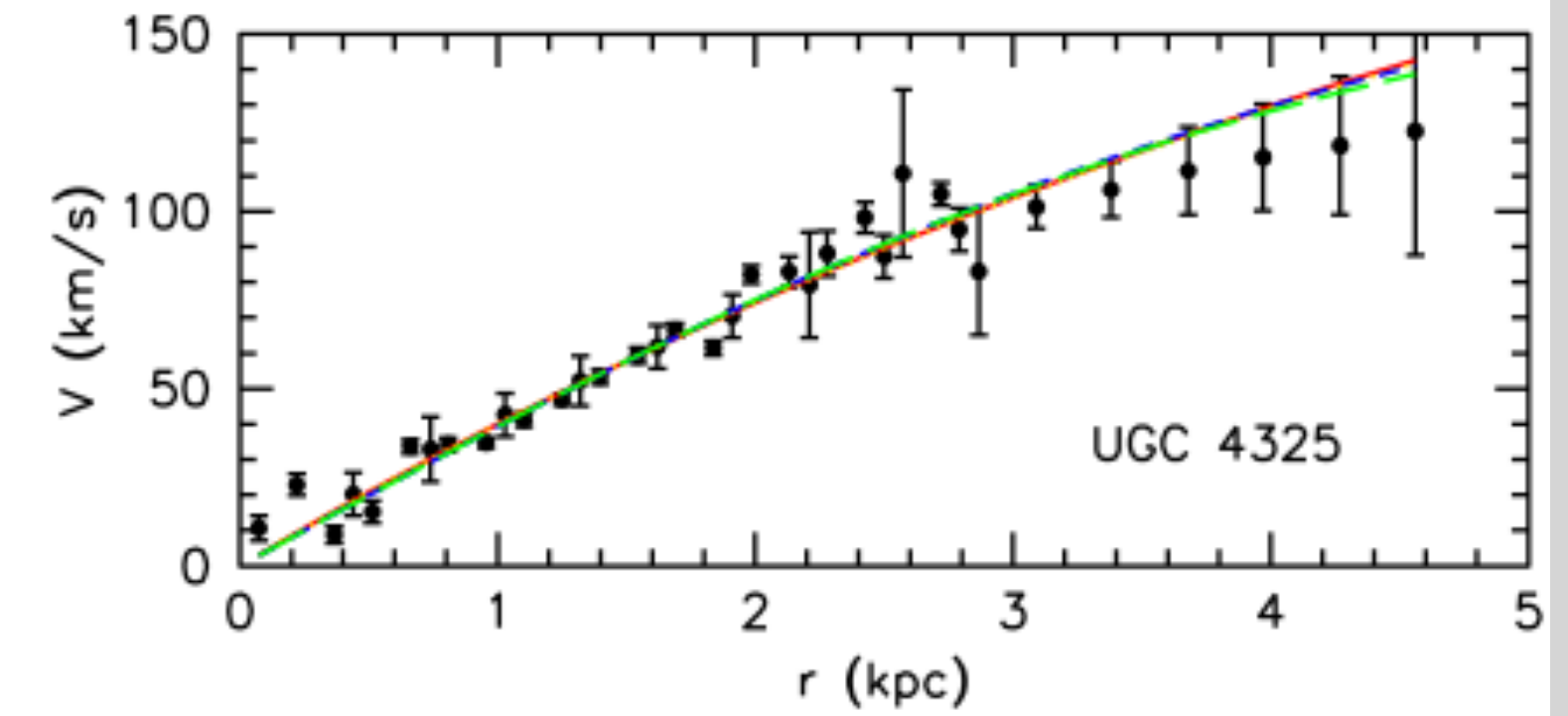
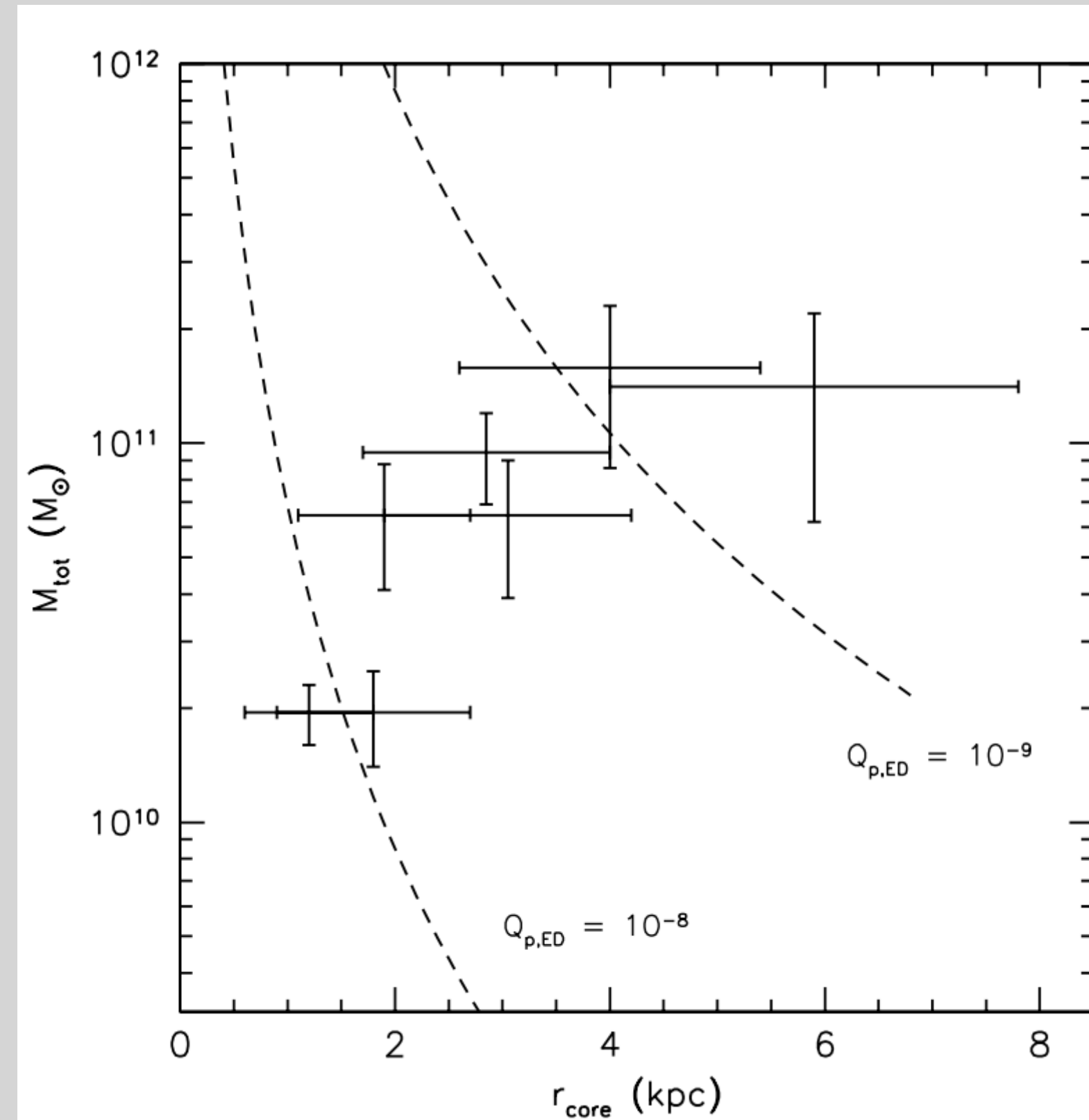


# Warm Dark Matter and Rotation Curves: Kuzio de Naray+2010

- ▶ use rotation curves of 9 local low surface brightness galaxies
- ▶ test WDM, non-thermal WDM, and SIDM

## Problems for WDM:

- ▶ does not manage to solve core-cusp problem with one particle mass for all galaxies
- ▶ inferred  $r_{\text{core}}$  increase with halo mass while predictions state the opposite

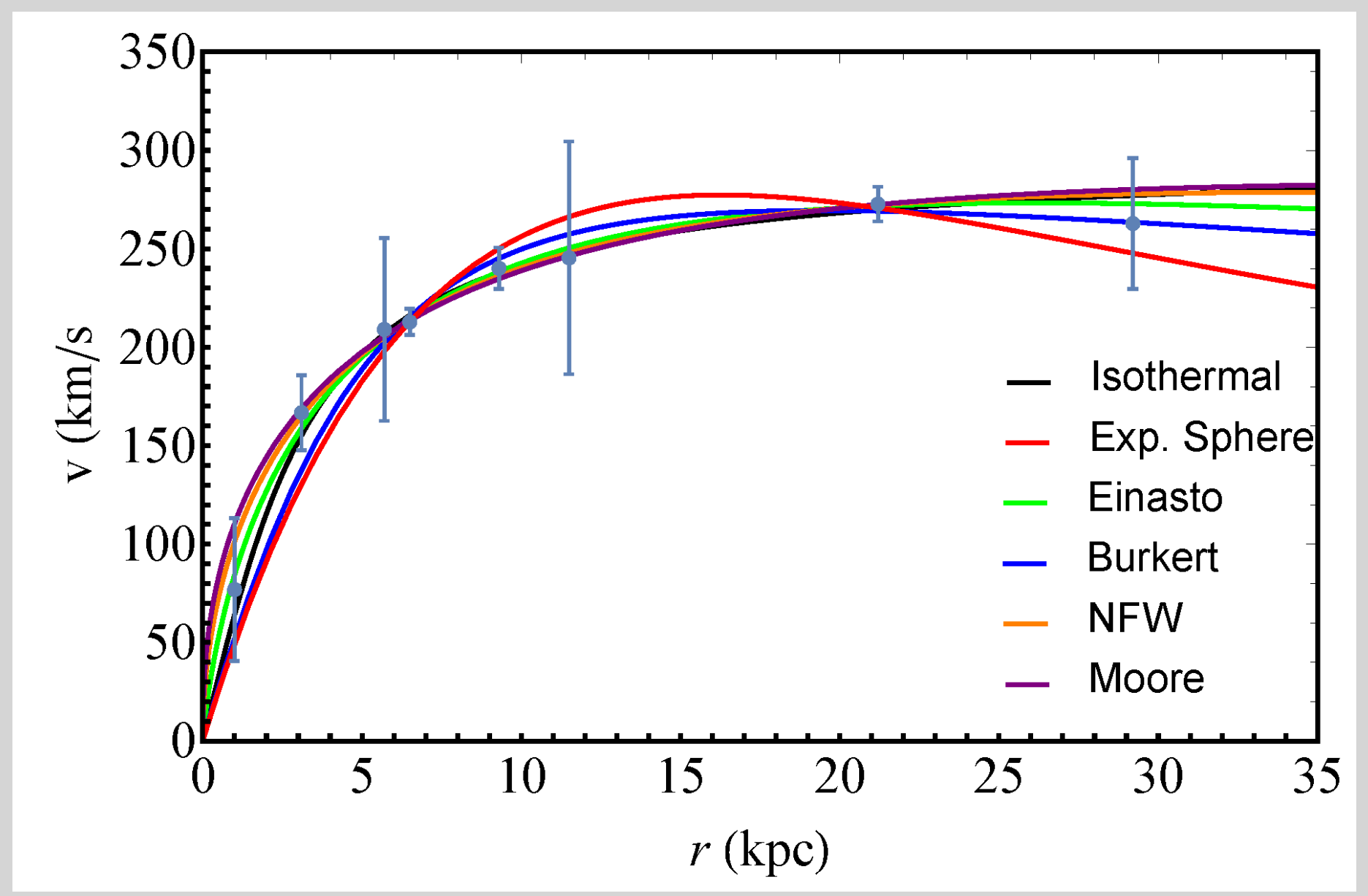




# Can we constrain the Dark Matter flavour from RCs?

▶ Answer is: possibly

☑ Disk-halo decomposition in 3D



▶ the curvature of the RC is different for different halo profiles

▶ discriminate if all pixels are used



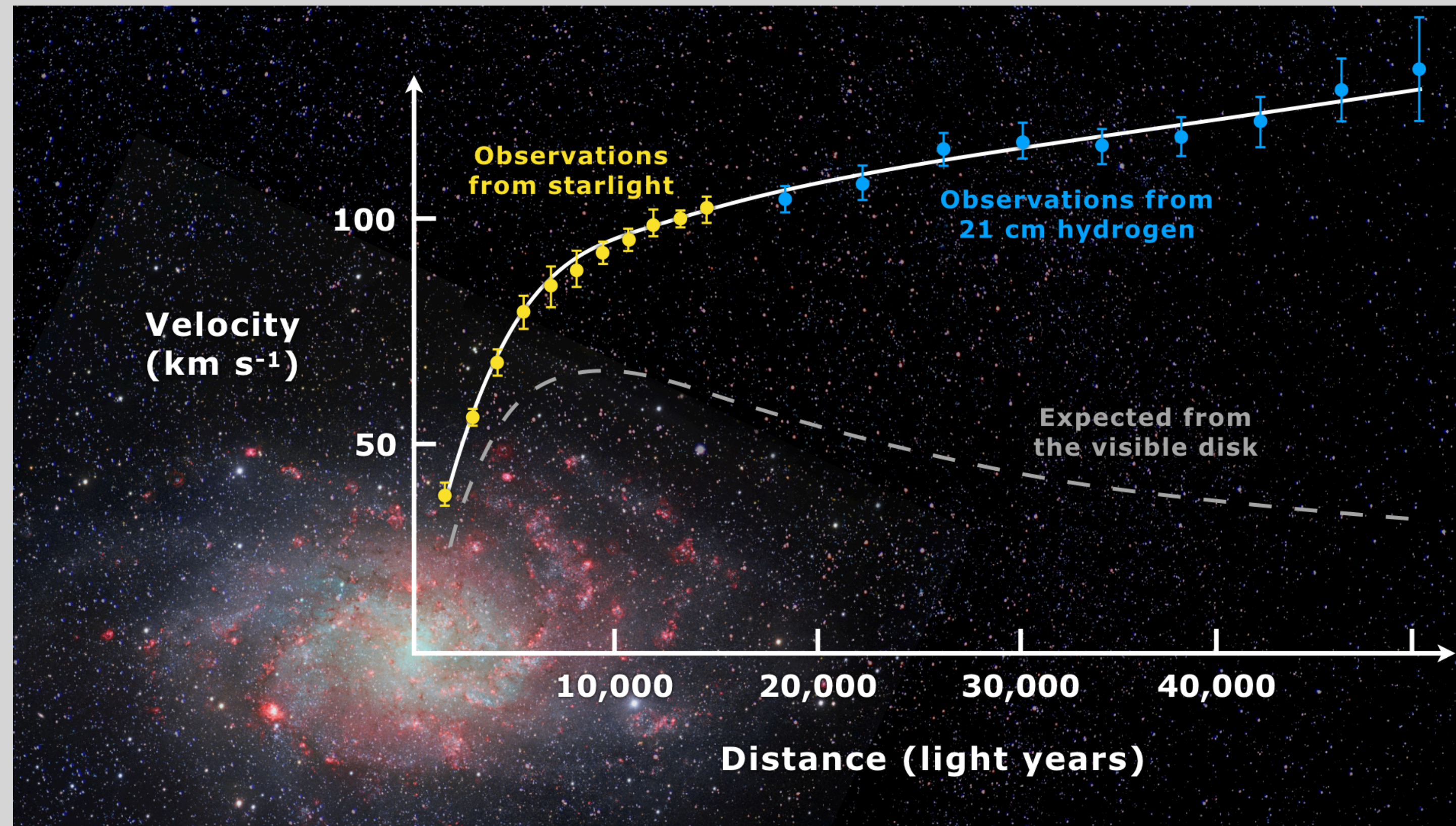


# Outlook

- ▶ **Improving precision of rotation curve measurements:** Higher resolution, deep IFU data and advancements in 3D modelling techniques can help improving dark matter profile constraints.
- ▶ **Probing larger samples (at high redshift  $z > 1$ ):** With more observational data from next generation instruments, we can extend rotation curve studies beyond the local Universe to explore the evolution of dark matter properties over cosmic time.
- ▶ **Linking DM profiles to galaxy star formation histories:** Combining star formation histories and DM profiles will offer further insights into the connection between baryonic feedback and DM distribution.
- ▶ **Testing alternative DM models:** SIDM, FDM, WDM models need to be tested against larger datasets and a wider variety of galaxy types to refine their viability in addressing small-scale structure problems.
- ▶ **Need for simulations:** High-resolution cosmological simulations that incorporate baryonic physics will be crucial to further testing predictions of the alternative DM models.



# Thank you for your attention!







# Extra



# Using 3D forward modelling: Under the hood



**Bouché et al. 2015**

$$v_c(r)^2 = v_{\text{DM}}(r)^2 + v_{\text{disk}}(r)^2 + v_{\text{HI}}(r)^2$$

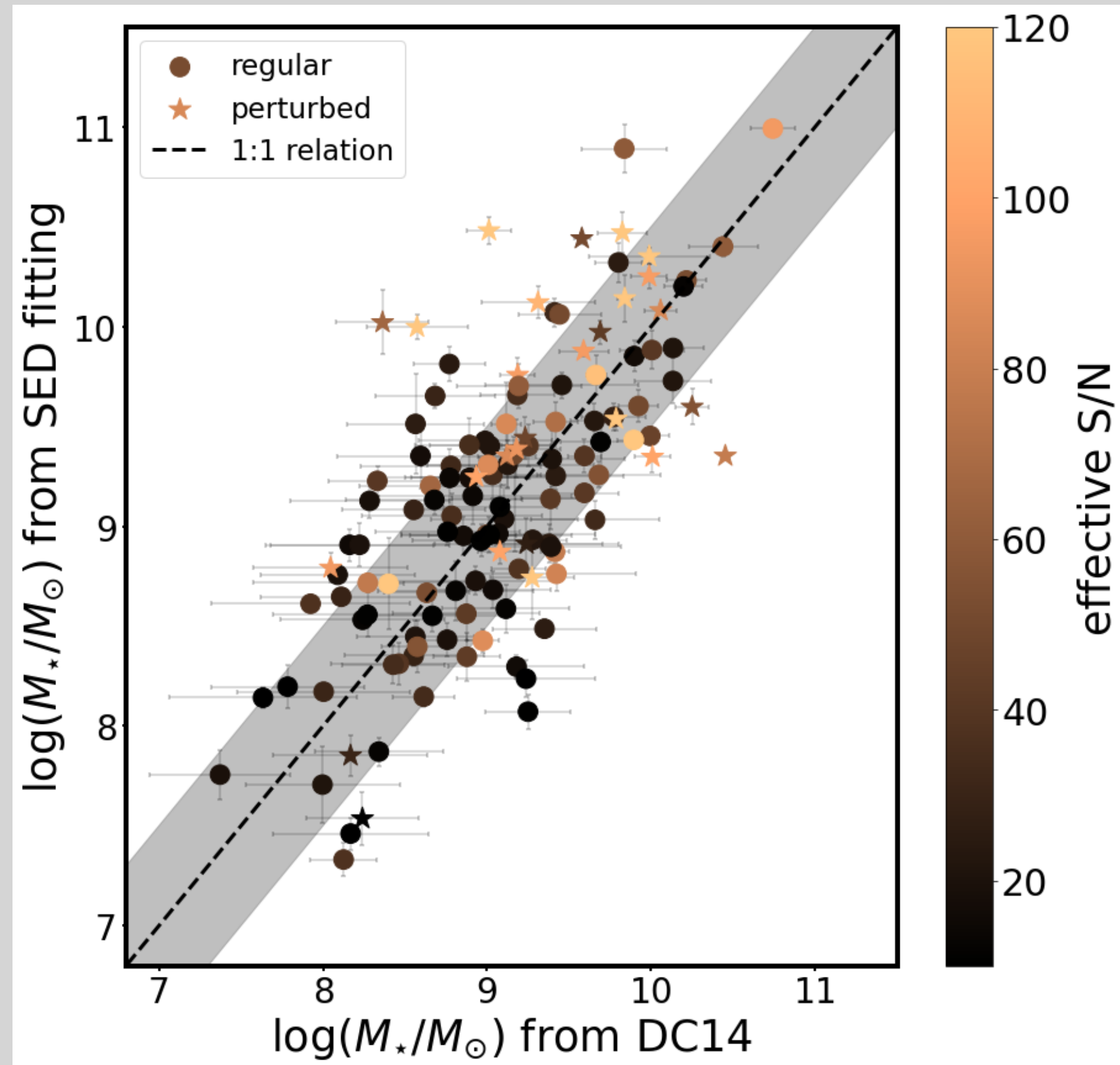
- 1) DM: different Dark Matter halo profiles
- 2) Disk:  $I(r)$ : Sersic  $n$  (OII,Ha); Freeman Disk
- 3) gas: HI gas (marginalized)
- 4) **pressure support correction (asymmetric drift correction)**

$$v_c(r)^2 = v_{\perp}(r)^2 + v_{\text{AD}}(r)^2$$

- **13 - 15 free parameters** ( $x,y,z,\text{incl},\text{PA},M^*,M_{\text{vir}},c_{\text{vir}},\text{sig}0,\text{Re},n,\dots$ )
- all optimised simultaneously directly on the 3D IFU cube



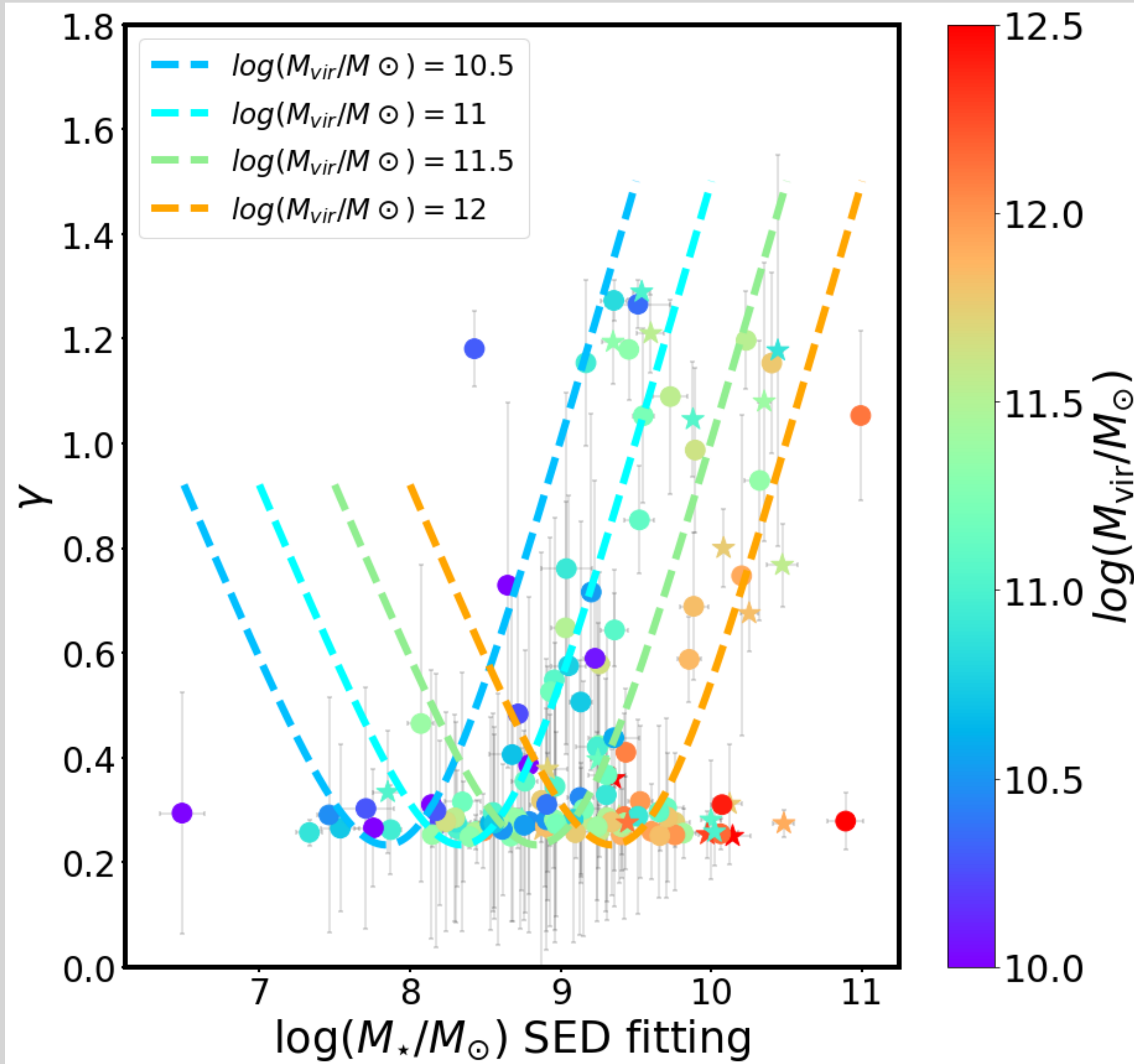
## ► Consistency checks for DC14



► The kinematically inferred  $M^*$  agree with the ones derived from photometry



## Consistency checks for DC14



➔ Inferred DM inner slopes in accordance with the expectations