



Binned angular analysis of  $B^0 \rightarrow K^{*0} \mu^+ \mu^-$  at LHCb  
Rencontres de Moriond 2024

Young Scientist Forum

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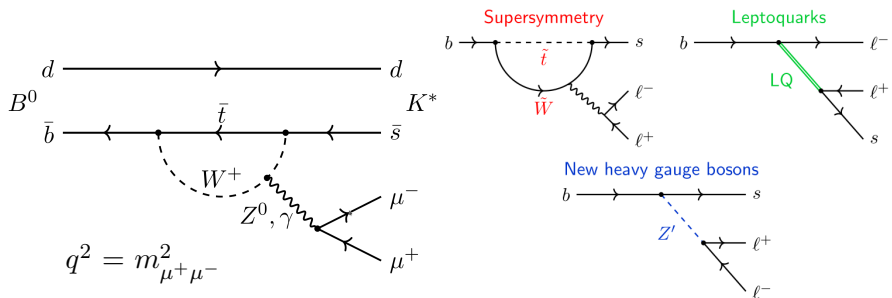
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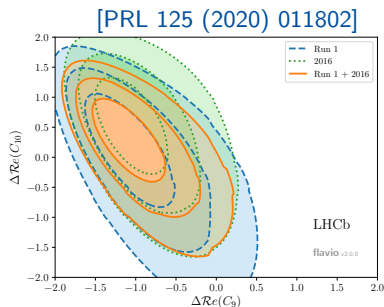
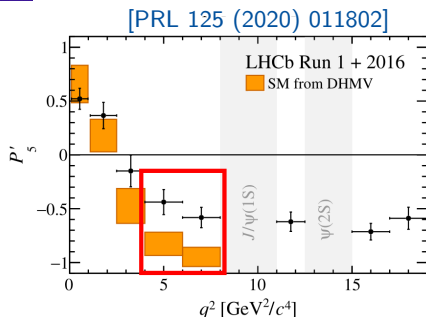
# Search for New Physics with $B^0 \rightarrow K^{*0} \mu^+ \mu^-$



$$q^2 = m_{\mu^+ \mu^-}^2$$

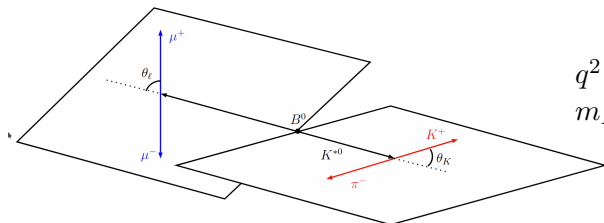
- $B^0$  decays via  $b \rightarrow s$  flavour changing neutral current (FCNC)
- High sensitivity to New Physics due to high suppression in SM
- Angular analysis gives access to optimized observables [JHEP01(2013)048]
  - Less dependent on hadronic form factors than  $\mathcal{B}$  measurements

## Results of previous analysis: Run 1 + 2016



- Run1+2016 result published in 2020
- Global tension increased:  $3.0 \sigma$  (Run 1)  $\rightarrow$   $3.3 \sigma$  (Run 1 + 2016)
- This work: Improve analysis and include full Run2 dataset
- Integrated luminosities of  $3.0 \text{ fb}^{-1}$  (Run1) +  $1.6 \text{ fb}^{-1}$  (2016)  
 $1.7 \text{ fb}^{-1}$  (2017) +  $2.1 \text{ fb}^{-1}$  (2018)

## Angular description of the decay



$$q^2 = (\text{inv. dimuon mass})^2$$

$$m_{K\pi} = \text{inv. } K\pi \text{ mass}$$

- Decay fully described by three angles  $\Omega = (\theta_l, \theta_K, \phi) + q^2$  and  $m_{K\pi}$
- $m_{K\pi}$  dependence now directly included into PDF as Breit-Wigners
- Previously:  $m_{K\pi}$  shape fitted integrated over decay angles

$$\frac{1}{d(\Gamma + \bar{\Gamma})/dq^2} \frac{\bar{\Gamma}}{d\bar{\Omega} dq^2 dm_{K\pi}} = \frac{9}{64\pi} \sum_{i \in \mathcal{P}} (S_i \pm A_i) f_i(\theta_l, \theta_K, \phi) |BW_{\mathcal{P}}(m_{K\pi})|^2$$

$$+ \sum_{i \in \mathcal{S}} (S_i \pm A_i) f_i(\theta_l, \theta_K, \phi) |BW_{\mathcal{S}}(m_{K\pi})|^2$$

$$+ \sum_{i \in \mathcal{S}/\mathcal{P}} (S_i \pm A_i) f_i(\theta_l, \theta_K, \phi) g(BW_{\mathcal{S}}(m_{K\pi}) BW_{\mathcal{P}}^*(m_{K\pi}))$$

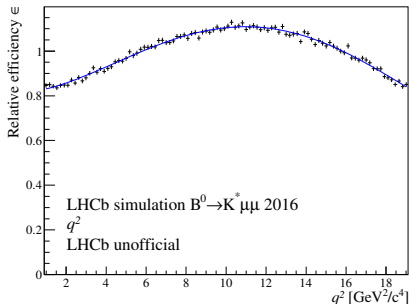
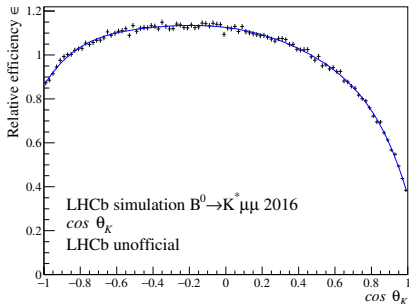
- $S_i/A_i$  are CP-symmetries/asymmetries of angular observables
- Observables measured integrated over bins of  $q^2$

# 5D Acceptance correction

- Angles,  $q^2$  and  $m_{K\pi}$  **distorted by reconstruction and selection**
- Parameterize acceptance effect using 5D Legendre polynomials

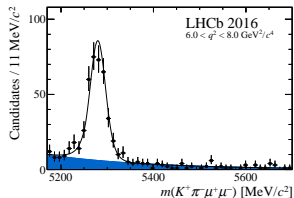
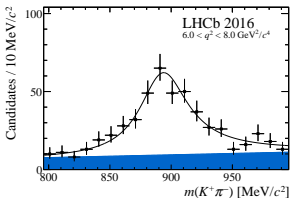
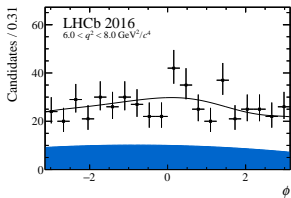
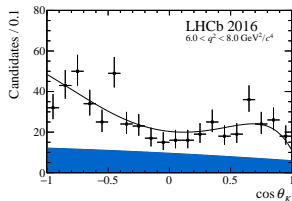
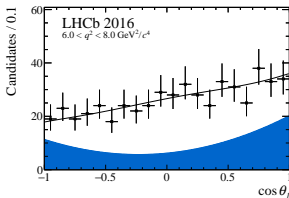
$$\epsilon = \sum_{k,l,m,n,o} c_{klmno} P(\cos(\theta_l), k) P(\cos(\theta_K), l) P(\phi, m) P(q^2, n) P(m_{K\pi}, o)$$

- $c_{klmno}$  calculated with method of moments using LHCb simulation



# 5D maximum likelihood fit

- 5D maximum likelihood fit performed to extract angular observables
- Signal and background separated by fit to  $m_{K\pi\mu\mu}$
- Separation between Spin-1 and Spin-0 contribution through  $m_{K\pi}$



[PRL 125 (2020) 011802]

# Improvements to analysis strategy

## Event selection

- Selection retuned to **improve signal efficiency / background rejection**

## CP-asymmetries

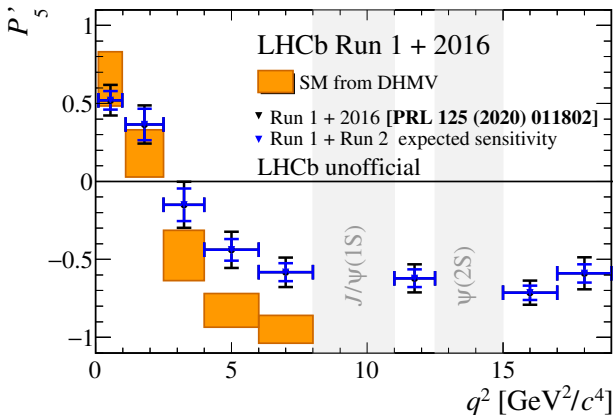
- **Simultaneously extract** angular CP-symmetries and **asymmetries**
- Preserve the correlations between them

## S-wave observables and $\mathcal{B}$

- Extracting angular **observables of Spin-0  $m_{K\pi}$  contributions**
- Perform model independent **measurement of  $\mathcal{B}$**

Expected sensitivity to  $P_5'$ 

- Adding LHCb data from 2017/2018 roughly doubles the dataset



- Assuming the same central values from [PRL 125 (2020) 011802]
- Expected sensitivities using the full Run 1 + Run 2 dataset



- Binned angular analysis of  $B^0 \rightarrow K^{*0} \mu^+ \mu^-$  important test of the SM
- Previous analysis showed intriguing tensions with SM predictions
- Many improvements compared to previous analysis [[PRL 125 \(2020\) 011802](#)]
  - Added **full Run 2 LHCb dataset**
  - **Retuned event selection** to improve performance
  - Fit **angular CP-asymmetries** including  $A_{CP}$
  - Will additionally **publish Spin-0 observables** and branching fraction

Stay tuned for an update very soon!

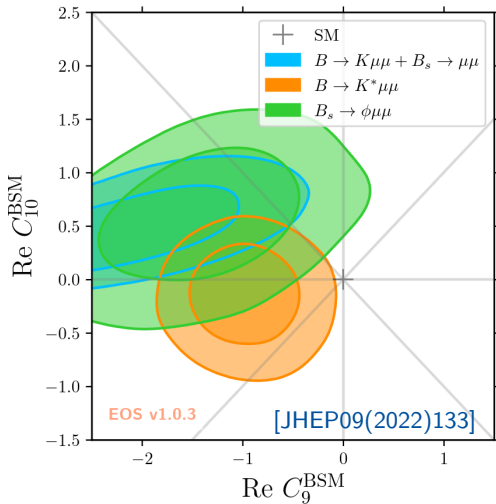
# Backup

# Angular coefficients $I_i'$ and corresponding $f_i(\vec{\Omega})$

$i$	$I_i'$	$f_i$
1s	$\left( \frac{(2+\beta_\mu^2)}{4} ( A_\perp^L ^2 +  A_\parallel^L ^2 +  A_\perp^R ^2 +  A_\parallel^R ^2) + \frac{4m_\mu^2}{q^2} \text{Re}[A_\perp^L A_\perp^{R*} + A_\parallel^L A_\parallel^{R*}] \right) \times  \mathcal{BWP} ^2$	$\sin^2 \theta_K$
1c	$\left(  A_0^L ^2 +  A_0^R ^2 \right) + \frac{4m_\mu^2}{q^2} ( A_t ^2 + 2 \text{Re}[A_0^L A_0^{R*}]) + \beta_\mu^2  A_{\text{scalar}} ^2 \times  \mathcal{BWP} ^2$	$\cos^2 \theta_K$
2s	$\frac{\beta_\mu^2}{4} ( A_\perp^L ^2 +  A_\parallel^L ^2 +  A_\perp^R ^2 +  A_\parallel^R ^2) \times  \mathcal{BWP} ^2$	$\sin^2 \theta_K \cos 2\theta_\ell$
2c	$-\beta_\mu^2 ( A_0^L ^2 +  A_0^R ^2) \times  \mathcal{BWP} ^2$	$\cos^2 \theta_K \cos 2\theta_\ell$
3	$\frac{1}{2} \beta_\mu^2 ( A_\perp^L ^2 -  A_\parallel^L ^2 +  A_\perp^R ^2 -  A_\parallel^R ^2) \times  \mathcal{BWP} ^2$	$\sin^2 \theta_K \sin^2 \theta_\ell \cos 2\phi$
4	$\frac{1}{\sqrt{2}} \beta_\mu^2 \text{Re}[A_0^L A_\parallel^{L*} + A_0^R A_\parallel^{R*}] \times  \mathcal{BWP} ^2$	$\sin 2\theta_K \sin 2\theta_\ell \cos \phi$
5	$\sqrt{2} \beta_\mu \left( \text{Re}[A_0^L A_\perp^{L*} - A_0^R A_\perp^{R*}] - \frac{m_\mu}{\sqrt{q^2}} \text{Re}[A_\parallel^L A_{\text{scalar}}^* + A_\parallel^R A_{\text{scalar}}^*] \right) \times  \mathcal{BWP} ^2$	$\sin 2\theta_K \sin \theta_\ell \cos \phi$
6s	$2\beta_\mu \text{Re}[A_\parallel^L A_\perp^{L*} - A_\parallel^R A_\perp^{R*}] \times  \mathcal{BWP} ^2$	$\sin^2 \theta_K \cos \theta_\ell$
6c	$4\beta_\mu \frac{m_\mu}{\sqrt{q^2}} \text{Re}[A_0^L A_{\text{scalar}}^* + A_0^R A_{\text{scalar}}^*] \times  \mathcal{BWP} ^2$	$\cos^2 \theta_K \cos \theta_\ell$
7	$\sqrt{2} \beta_\mu \left( \text{Im}[A_0^L A_\parallel^{L*} - A_0^R A_\parallel^{R*}] + \frac{m_\mu}{\sqrt{q^2}} \text{Im}[A_\perp^L A_{\text{scalar}}^* + A_\perp^R A_{\text{scalar}}^*] \right) \times  \mathcal{BWP} ^2$	$\sin 2\theta_K \sin \theta_\ell \sin \phi$
8	$\frac{1}{\sqrt{2}} \beta_\mu^2 \text{Im}[A_0^L A_\perp^{L*} + A_0^R A_\perp^{R*}] \times  \mathcal{BWP} ^2$	$\sin 2\theta_K \sin 2\theta_\ell \sin \phi$
9	$\beta_\mu^2 \text{Im}[A_\parallel^L A_\perp^{L*} + A_\parallel^R A_\perp^{R*}] \times  \mathcal{BWP} ^2$	$\sin^2 \theta_K \sin^2 \theta_\ell \sin 2\phi$
10	$\frac{1}{2} \left(  A_S^L ^2 +  A_S^R ^2 + \frac{4m_\mu^2}{q^2} ( A_t ^2 + 2 \text{Re}[A_S^L A_S^{R*}]) \right) \times  \mathcal{BWS} ^2$	1
11	$\sqrt{3} \left( \text{Re}[(A_S^L A_0^* + A_S^R A_0^{R*}) + \frac{4m_\mu^2}{q^2} (A_S^L A_0^{R*} + A_{\text{scalar},t} A_t^*)] \times \mathcal{BWS} \mathcal{BWP}_\mu^* \right) + \text{Re}[\frac{4m_\mu^2}{q^2} A_0^L A_0^{R*} \times \mathcal{BWP} \mathcal{BWS}_\mu^*]$	$\cos \theta_K$
12	$-\frac{1}{2} \beta_\mu^2 ( A_S^L ^2 +  A_S^R ^2) \times  \mathcal{BWS} ^2$	$\cos 2\theta_\ell$
13	$-\sqrt{3} \beta_\mu^2 \text{Re}[(A_S^L A_0^{L*} + A_S^R A_0^{R*}) \times \mathcal{BWS} \mathcal{BWP}_\mu^*]$	$\cos \theta_K \cos 2\theta_\ell$
14	$\sqrt{\frac{3}{2}} \beta_\mu^2 \text{Re}[(A_S^L A_\parallel^{L*} + A_S^R A_\parallel^{R*}) \times \mathcal{BWS} \mathcal{BWP}_\mu^*]$	$\sin \theta_K \sin 2\theta_\ell \cos \phi$
15	$2\sqrt{\frac{3}{2}} \beta_\mu \text{Re}[(A_S^L A_\perp^{L*} - A_S^R A_\perp^{R*}) \times \mathcal{BWS} \mathcal{BWP}_\mu^*]$	$\sin \theta_K \sin \theta_\ell \cos \phi$
16	$2\sqrt{\frac{3}{2}} \beta_\mu \text{Im}[(A_S^L A_\parallel^{L*} - A_S^R A_\parallel^{R*}) \times \mathcal{BWS} \mathcal{BWP}_\mu^*]$	$\sin \theta_K \sin \theta_\ell \sin \phi$
17	$\sqrt{\frac{3}{2}} \beta_\mu^2 \text{Im}[(A_S^L A_\perp^{L*} + A_S^R A_\perp^{R*}) \times \mathcal{BWS} \mathcal{BWP}_\mu^*]$	$\sin \theta_K \sin 2\theta_\ell \sin \phi$

# Angular coefficients $I'_i$ and corresponding $f_i(\vec{\Omega})$

$i$	$I'_i$	$f_i$
1s	$\frac{3}{4}( A_{\parallel}^L ^2 +  A_{\perp}^L ^2 +  A_{\parallel}^R ^2 +  A_{\perp}^R ^2) \times  \mathcal{B}\mathcal{W}\mathcal{P} ^2$	$\sin^2 \theta_K$
1c	$( A_0^L ^2 +  A_0^R ^2) \times  \mathcal{B}\mathcal{W}\mathcal{P} ^2$	$\cos^2 \theta_K$
2s	$\frac{1}{4}( A_{\parallel}^L ^2 +  A_{\perp}^L ^2 +  A_{\parallel}^R ^2 +  A_{\perp}^R ^2) \times  \mathcal{B}\mathcal{W}\mathcal{P} ^2$	$\sin^2 \theta_K \cos 2\theta_{\ell}$
2c	$(- A_0^L ^2 -  A_0^R ^2) \times  \mathcal{B}\mathcal{W}\mathcal{P} ^2$	$\cos^2 \theta_K \cos 2\theta_{\ell}$
3	$\frac{1}{2}( A_{\perp}^L ^2 -  A_{\parallel}^L ^2 +  A_{\perp}^R ^2 -  A_{\parallel}^R ^2) \times  \mathcal{B}\mathcal{W}\mathcal{P} ^2$	$\sin^2 \theta_K \sin^2 \theta_{\ell} \cos 2\phi$
4	$\sqrt{\frac{1}{2}} \operatorname{Re}[A_0^L A_{\parallel}^{L*} + A_0^R A_{\parallel}^{R*}] \times  \mathcal{B}\mathcal{W}\mathcal{P} ^2$	$\sin 2\theta_K \sin 2\theta_{\ell} \cos \phi$
5	$\sqrt{2} \operatorname{Re}[A_0^L A_{\perp}^{L*} - A_0^R A_{\perp}^{R*}] \times  \mathcal{B}\mathcal{W}\mathcal{P} ^2$	$\sin 2\theta_K \sin \theta_{\ell} \cos \phi$
6s	$2 \operatorname{Re}[A_{\parallel}^L A_{\perp}^{L*} - A_{\parallel}^R A_{\perp}^{R*}] \times  \mathcal{B}\mathcal{W}\mathcal{P} ^2$	$\sin^2 \theta_K \cos \theta_{\ell}$
6c	0	$\cos^2 \theta_K \cos \theta_{\ell}$
7	$\sqrt{2} \operatorname{Im}[A_0^L A_{\parallel}^{L*} - A_0^R A_{\parallel}^{R*}] \times  \mathcal{B}\mathcal{W}\mathcal{P} ^2$	$\sin 2\theta_K \sin \theta_{\ell} \sin \phi$
8	$\sqrt{\frac{1}{2}} \operatorname{Re}[A_0^L A_{\perp}^{L*} + A_0^R A_{\perp}^{R*}] \times  \mathcal{B}\mathcal{W}\mathcal{P} ^2$	$\sin 2\theta_K \sin 2\theta_{\ell} \sin \phi$
9	$\operatorname{Im}[A_{\parallel}^L A_{\perp}^{L*} + A_{\parallel}^R A_{\perp}^{R*}] \times  \mathcal{B}\mathcal{W}\mathcal{P} ^2$	$\sin^2 \theta_K \sin^2 \theta_{\ell} \sin 2\phi$
10	$\frac{1}{2}( A_S^L ^2 +  A_S^R ^2) \times  \mathcal{B}\mathcal{W}\mathcal{S} ^2$	1
11	$\sqrt{3} \operatorname{Re}[(A_S^L A_0^{L*} + A_S^R A_0^{R*}) \times \mathcal{B}\mathcal{W}\mathcal{S}\mathcal{B}\mathcal{W}\mathcal{P}^*]$	$\cos \theta_K$
12	$-\frac{1}{2}( A_S^L ^2 +  A_S^R ^2) \times  \mathcal{B}\mathcal{W}\mathcal{S} ^2$	$\cos 2\theta_{\ell}$
13	$-\sqrt{3} \operatorname{Re}[(A_S^L A_0^{L*} + A_S^R A_0^{R*}) \times \mathcal{B}\mathcal{W}\mathcal{S}\mathcal{B}\mathcal{W}\mathcal{P}^*]$	$\cos \theta_K \cos 2\theta_{\ell}$
14	$\sqrt{\frac{3}{2}} \operatorname{Re}[(A_S^L A_{\parallel}^{L*} + A_S^R A_{\parallel}^{R*}) \times \mathcal{B}\mathcal{W}\mathcal{S}\mathcal{B}\mathcal{W}\mathcal{P}^*]$	$\sin \theta_K \sin 2\theta_{\ell} \cos \phi$
15	$2\sqrt{\frac{3}{2}} \operatorname{Re}[(A_S^L A_{\perp}^{L*} - A_S^R A_{\perp}^{R*}) \times \mathcal{B}\mathcal{W}\mathcal{S}\mathcal{B}\mathcal{W}\mathcal{P}^*]$	$\sin \theta_K \sin \theta_{\ell} \cos \phi$
16	$2\sqrt{\frac{3}{2}} \operatorname{Im}[(A_S^L A_{\parallel}^{L*} - A_S^R A_{\parallel}^{R*}) \times \mathcal{B}\mathcal{W}\mathcal{S}\mathcal{B}\mathcal{W}\mathcal{P}^*]$	$\sin \theta_K \sin \theta_{\ell} \sin \phi$
17	$\sqrt{\frac{3}{2}} \operatorname{Im}[(A_S^L A_{\perp}^{L*} + A_S^R A_{\perp}^{R*}) \times \mathcal{B}\mathcal{W}\mathcal{S}\mathcal{B}\mathcal{W}\mathcal{P}^*]$	$\sin \theta_K \sin 2\theta_{\ell} \sin \phi$



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