WG1-SRCH SRCH subgroup report/plans

Roberto Franceschini (Roma Tre U. and INFN) - Oct. 11th 2024

Rebeca Gonzalez Suarez, Aleksander Filip Zarnecki

- EXtt focus topic
 - Update of top quark FCNC upper bound from new physics models
 - New search for generic scalar $t \rightarrow$
- - Dark Matter (\supset SUSY) some Z'

Outline

$$\phi c \rightarrow c b \bar{b}$$

• Other WG1-SRCH activities not covered by LLP and Exotic scalar plenary talks on Wed., mostly summarizing some results appeared in the parallels of Wed. and Thu.

EXtt focus topics

Top Exotic decays and Flavor Changing Neutral Currents at the top factory

Patrizia Azzi, Nuño Castro, Marina Cobal, Gauthier Durieux, RF, María Teresa Núñez Pardo de Vera, Kirill Skovpen, Marcel Vos

Contributions: Sagar Airen, Miriam Bulliri, Didar Dobur, Federico Mescia, Kevin Mota



Top quark decay at the Top Factory $t \rightarrow BSM$



Even a mere factor 2 stronger bounds on the particles originating flavor violation makes a factor 16 in the FCNC BR. This can take a "border-line observable at top factory" BR=10⁻⁵ down to 10⁻⁶ and ruin the party.





Top quark decay at the Top Factory



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Top quark decay at the Top Factory



- HL-LHC* 3/ab
- CLIC380 0.5/ab

- CMS-PAS-FTR-18-004
- CMS-PAS-FTR-18-004

- Last refresh of BSM benchmarks is quite old
- Regardless of the focus topics a refresh seems needed for the final report
- Relation to EFT to be investigated further

Staus for Snowmass 2013

arXiv:1311.2028

Table 1-7. SM and new physics model predictions for branching ratios of top FCNC decays. The SM predictions are taken from [119], on 2HDM with flavor violating Yukawa couplings [119, 120] (2HDM (FV) column), the 2HDM flavor conserving (FC) case from [121], the MSSM with 1TeV squarks and gluinos from [122], the MSSM for the R-parity violating case from [123, 124], and warped extra dimensions (RS) from [125, 126]. **NA** 1 1 TTT

		Model	– III ma	x(Model – I, Model –	II)	
Process	\mathbf{SM}	2HDM	I(FV)	$2 \mathrm{HDM}(\mathrm{FC})$	MSSM	RPV
$t \to Z u$	$7 imes 10^{-17}$	_		_	$\leq 10^{-7}$	$\leq 10^{-6}$
$t \to Zc$	1×10^{-14}	≤ 10	0^{-6}	$\leq 10^{-10}$	$\leq 10^{-7}$	$\leq 10^{-6}$
$t \to g u$	4×10^{-14}	_		_	$\leq 10^{-7}$	$\leq 10^{-6}$
$t \to gc$	$5 imes 10^{-12}$	≤ 10	$)^{-4}$	- 10-8	_ 10-7	<u> </u>
$t\to \gamma u$	4×10^{-16}			_	$\leq 10^{-8}$	$\le 10^{-9}$
$t\to \gamma c$	$5 imes 10^{-14}$	≤ 10	0^{-7}	$\leq 10^{-9}$	$\leq 10^{-8}$	$\le 10^{-9}$
$t \to h u$	2×10^{-17}	6×1	0^{-6}	1 -	$\leq 10^{-5}$	$\le 10^{-9}$
$t \to hc$	$3 imes 10^{-15}$	2×1	0^{-3}	$\leq 10^{-5}$	$\leq 10^{-5}$	$\le 10^{-9}$
	/		/			1
obser f	vable at a	top	not t	observab op factor	le at y	Use N inst



\mathbf{RS} Sagar Airen (U. of Maryland) $\leq 10^{-1}$ Miriam Bulliri (Roma1 "Sapienza")



2HDM-FV Miriam Bulliri (U. of Rome "Sapienza") Federico Mescia (LNF Frascati)



 $g_{hVV} = si$

$$\mathcal{L}_{Y} = \mathcal{L}_{Y,SM} + \frac{1}{\sqrt{2}} \bar{d}\xi^{d} dH + \frac{1}{\sqrt{2}} \bar{u}\xi^{u} uH + \frac{1}{\sqrt{2}} \bar{\ell}\xi^{\ell}\ell H - \frac{i}{\sqrt{2}} \bar{d}\gamma_{5}\xi^{d} dA - \frac{i}{\sqrt{2}} \bar{u}\gamma_{5}\xi^{u} uA - \frac{i}{\sqrt{2}} \bar{\ell}\gamma_{5}\xi^{\ell}\ell A + \left[\bar{u}\left(\xi^{u}V_{CKM}P_{L} - V_{CKM}\xi^{d}P_{R}\right)dH^{+} - \bar{\nu}\xi^{\ell}P_{R}\ell H^{+} + \text{h.c.}\right],$$

both the doublets couple to all the quarks and leptons, but flavor violation is only in the doublet that does not take a VEV

htc coupling tuned away by "alignment" making h SMlike (flavor conserving and SM strength as LHC measurements suggest quite strongly)

$$n(\beta - \alpha) \simeq 1 - \frac{1}{2}\cos^2(\beta - \alpha) + \dots$$

FV coupling of h

 $m_{H,A,H^+} > m_t$ so that they do not have a tree-level decay



Atwood et al 1996



 Z^{μ},γ^{μ} b,s H^{+} Z^{μ},γ^{μ} H^{+} b,s H^{+} H^{+}

TABLE I. Values of $B(t \rightarrow c \gamma)$, $B(t \rightarrow c Z)$, and $B(t \rightarrow c g)$ for $m_t \approx 180$ GeV, in the SM and in the 2HDM's denoted as model I, model II, and model III. Each range is obtained by varying m_c , m_h , m_A , $\tan\beta$, ... over a broad region of what went in the space of the corresponding model, as explained in model III, we have fixed $\lambda_{ij} \approx \lambda = 1$ in the FC coupli **SNOWMASS 2013**

Decay	SM	"up-specifc" Model I NFC – Type II	Inert Model II NFC – Type I	Model III FV
$t \rightarrow c \gamma$	$\sim 5 \times 10^{-12}$	$10^{-13} - 10^{-11}$	$10^{-13} - 10^{-9}$	$10^{-12} - 10^{-7}$
$t \rightarrow cZ$	$\sim 10^{-13}$	$10^{-13} - 10^{-11}$	$10^{-13} - 10^{-10}$	$10^{-8} - 10^{-6}$
$t \rightarrow c g$	$\sim 5 \times 10^{-11}$	$10^{-11} - 10^{-9}$	$10^{-11} - 10^{-8}$	$10^{-8} - 10^{-4}$



Atwood et al 1996



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Decay

$t \rightarrow c \gamma$	\sim
$t \rightarrow c Z$	~
$t \rightarrow c q$	\sim





Kim et al, 1509.00491 2015

observable	SM	EXP	10^{-8}
$\mathcal{B}(B \to \tau \nu) \cdot 10^4$	0.85 ± 0.14	1.14 ± 0.22	
R(D)	0.297 ± 0.017	$0.391 \pm 0.041 \pm 0.028$	10-10
$R(D^*)$	0.252 ± 0.003	$0.322 \pm 0.018 \pm 0.012$	-10^{-12}
$\Delta m_d [\mathrm{ps}^{-1}]$	0.51 ± 0.06	0.510 ± 0.003	
$\Delta m_s [\mathrm{ps}^{-1}]$	16.93 ± 1.16	17.757 ± 0.021	
$\mathcal{B}(B \to X_s \gamma) \cdot 10^4$	3.36 ± 0.23	3.43 ± 0.22 was 0.66	3x better
$\mathcal{B}(t \to cg)$	$< 10^{-10}$	$< 1.6 \times 10^{-4} (95\% \text{ CL})$	
$\sigma(pp \to tt)$	_	< 62 fb (95% CL)	
R_b	0.21576 ± 0.00003	0.21629 ± 0.00066	
$ ho_0$	1	1.00040 ± 0.00024 was (0.0025 10x better
·		0.0018	_



Hardly tenable to consider $BR > 10^{-6}$

Bulliri et al. Work in progress to remove effect from R(D) and R(D*) in 1509.00491 and update limits from ρ and $b \to X_s \gamma$



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Randall Sundrum

Sagar Airen (U. of Maryland)

$$\mathcal{L}_{ ext{FC}}^t
ightarrow \left(g_1 t_R^- \gamma_\mu c_R + g_2 t_L^- \gamma_\mu c_L \right) Z^\mu g_Z \,,$$

Gauge

q

with

$$g_{1,2} \sim \left[5 \cdot 10^{-3} \frac{(U_R)_{23}}{0.1}, 4 \cdot 10^{-4} \frac{(U_L)_{23}}{0.04}\right] \left(\frac{3 \text{ TeV}}{m_{KK}}\right)^2,$$
 (

BR
$$(t \to cZ) \sim 10^{-5} \left(\frac{3 \text{ TeV}}{m_{KK}}\right)^4 \left(\frac{(U_R)_{23}}{0.1}\right)^2$$
.



$$U_R^{23} \sim \frac{m_c}{m_t \lambda_{CKM}^2}^2$$



LHC searches



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$$BR(t \to cZ) \sim 10^{-5} \left(\frac{3 \text{ TeV}}{m_{KK}}\right)^4 \left(\frac{(U_R)_{23}}{0.1}\right)^2.$$

$$suppression scale$$

$$t \to cZ) \sim 10^{-5} \left(\frac{3 \text{ TeV}}{m_{KK}}\right)^4 \left(\frac{(U_R)_{23}}{0.1}\right)^2.$$

$$U_R^{23} \sim \frac{m_c}{m_t \lambda_{CKM}^2}^2$$



LHC searches



$$\mathcal{L}_{\rm FC}^t \ni \left(g_1 \bar{t_R} \gamma_\mu c_R + g_2 \bar{t_L} \gamma_\mu c_L \right) Z^\mu g_Z \,, \qquad ($$

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$$BR(t \rightarrow cZ) \sim 10^{-5} \left(\frac{3 \text{ TeV}}{m_{KK}}\right)^4 \left(\frac{(U_R)_{23}}{0.1}\right)^2.$$
• Recall of the second second

$$U_R^{23} \sim \frac{m_c}{m_t \lambda_{CKM}^2}^2$$



Gauge

q

LHC searches

ast $m_{EW_{KK}} > 3.7 TeV$ with 138 fb^{-1} 13 TeV data

nnels H, WW, WH, ZW, ttbar



RS predictions and recast of LHC searches HVT \leftrightarrow Randall Sundrum

HVT recast to RS uses W' and Z'



- Current bound $m_{KK} > 3.7 TeV$
- At HL-LHC 3 ab^{-1} we expect it to go to







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Sagar Airen (U. of Maryland) $F(t) = \frac{1}{2} \int \frac{1}{2}$

- $e^+e^- \rightarrow (Z, \gamma)^* \rightarrow tc$ at 240 GeV turns out to be a stronger probe of the *Ztc* coupling than direct observation of the decay $t \rightarrow Zc$ (see e.g. 1906.04573 for CEPC).
- Probing power of single top production holds pretty independently of the analysis details, and can even be attained at energies somewhat lower than 240 GeV (if $\mathscr{L} \sim E^4_{\rho^+ \rho^-})$
- EWfit at LEP sensitive to 3 TeV RS mass scale. Expected to improve significantly with the Z factory data. Potentially sensitive to $BR(t \rightarrow Zc) \ll 10^{-6}$.





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Interim Summary from FCNC update

- Ztc coupling is best probed at 240 GeV via single-top production at e^+e^-
- No model* of the Snowmass 2013 able to generate a $BR > 10^{-6}$
- gtc coupling is best probed at the LHC via single top production
- No model* of the Snowmass 2013 able to generate a $BR > 10^{-6}$

• No update so far for *htc* coupling • Will go down compared to Snowmass 2013, but safe to say some model will stay above $BR > 10^{-6}$

 $^{\circ}$ Motivates pursuing also ϕtc couplings with a general BSM scalar ϕ

* does not mean one cannot make new ad-hoc models!



$t \rightarrow \phi c in IDEA$

Didar Dobur, Kevin Mota, Kirill Skovpen (Gent U.)

BSM decays of top quark $t \rightarrow c\phi$









New bounds

background *tt* + *jet* Key₄Hep production chain with Delphes

- At least one isolated lepton: p > 5 GeV, $|\eta| < 2.9$, relative isolation $\Delta R < 0.5$
- 4-jets exclusive clustering with algo Durham, at least two of which are b-tagged (ParticleTransformer, trained on Higgs samples, training: wc_pt_13_01_2022, WP > 0.5) and at least one that is c-tagged (WP > 0.5)
- Flavour tagging performance is crucial for this analysis.
- Jets are combined in order to get the best combination for the S \rightarrow bb and t \rightarrow cS

BDT to discriminate signal to background

With good performance for high working point (0.97).

 $t \to c\phi, \phi \to b\bar{b}$



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Paris SRCH parallels



"Pair-coupled" Dark Matter **LHC and HTE factory**



Giulio Marino

"Pair-coupled" Dark Matter improved sensitivity for light DM candidates



"Pair-coupled" Dark Matter improved sensitivity for light DM candidates



Light chargino-neutralino starting to appear in the LHC data? Impact from LHC SUSY searches limits taken from M. Berggren 2023 Only this one is actually excluded ! **ATLAS** Preliminary $\sqrt{s} = 13 \,\text{TeV}, 140 \,\text{fb}^{-1}, \text{EWKino scan}$ ATLAS exclusion fraction after non-DM external constraints [/əb] 500 500 (¹) 400 .0 ATLAS simpl. wino/bino model excl. 0.0 0.0 0.0 0.0 0.0 0.0 Parameter scan: 300 200 action wino/bino(+): $M_1 \times \mu > 0$ 100 wino/bino(–): $M_1 \times \mu < 0$ цЪ $\Rightarrow m_{(N)LSP} \lesssim 600(650) \text{ GeV}$ 0.0 0 400 800 600 1000 200 1200 Ecfa-EW&T&H@Paris, June 2024 G. Moortgat-Pick





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Light chargino-neutralino starting to appear in the LHC data?

Reconstruction of parameters





Reconstruction of parameters



 \Rightarrow no problem, since μ is not very relevant in this scenario

Relic density

Reconstruction of $\Omega_{\chi} h^2$:

 \Rightarrow often large uncertainties - but not too bad either

 \Rightarrow reason: experimental uncertainties in M_1 and M_2

 \Rightarrow possible improvement: optimized \sqrt{s}

Ecfa-EW&T&H@Paris, June 2024 GMP et al. 34

$\tilde{\tau}$ co-annihilation dark matter close to the degenerate LSP-NLSP



Teresa Núñez

At ILC discovery and exclusion are almost the same and close to the kinematic limit

arXiv:2105.08616



Dark matter from 2HDM+Singlet more structure signals of DM

Dark matter search at lepton colliders

Mono- γ



Mono-Z



 $M = E_{inv}^2 - |\vec{p_{inv}}|^2$ $=\left(\sqrt{s}-E_Z
ight)^2-\left|ec{p_Z}
ight|^2$ $= (\sqrt{s} - E_Z)^2 - (E_Z^2 - m_Z^2)$ $= s - 2\sqrt{s}E_Z + m_Z^2$



lepto-philic dark matter 1 singlet, 2 doublets (one only couples to leptons)



$$)_{1/2} + S \sim (1,1)_0$$

 $)_{-1/2}$

Paris SRCH parallels







flavor-aware gauge bosons in IDEA $\epsilon_{e,\mu,\gamma} = 0.99, \epsilon_{\tau} = 0.6$

New vector states HNL gauge bosons in ILD





Strongly limited by eRpL case and lighter RHN masses

New vector and (tensor?) states puzzles from the LHC keep showing up ...

Should the LHC experiment start to publish the "trial factor"? How many independent signal regions have been looked at? Is 3σ the new 1σ ? Helpful to take into account properly the LHC results in our study.

- BSM scalar resonances
- ullet**based** method to CMS data, separating VBF from ggF
- lacksquareattention
- ulletmachine reaching 1 TeV
- This could also be true for the **fiveplet** comprising **T(450)++**
- ullet



• We should not ignore the possibility of tensor candidates in searches for

To select T(650)->ZZ, it is therefore important to apply a genuine **cut** The RS scenario seems able to accommodate the tensor T(650) candidate but also implies Kaluza Klein heavy vectors which require our

T(650) is a fascinating object which can be fully elucidated with an e+e-

We await with great hopes a reanalysis of X(650)->ZZ and conclusive results from RUN3, 3.5 sd true signals could then become 5 sd

Thank you!

if you missed our parallels please check the backup slides

Nomenclature for 2HDMS (no pretense to be complete)

Table1.The2HDMs.	most	fam	niliar	
		220	07.06771	
Model	u^i_R	d_R^i	e^i_R	
Type I	Φ_2	Φ_2	Φ_2	a.k.a. NFC – Type I or Inert
Type II	Φ_2	Φ_1	Φ_1	a.k.a. "up-specifc" or NFC – Type I
Lepton-specific	Φ_2	Φ_2	Φ_1	a.k.a. "lepton-specifc"
Flipped	Φ_2	Φ_1	Φ_2	a.k.a. "down-specifc"

	Table 1. The 2HDMs.	most	t far 2	niliar 207.06771	
	Model	u_R^i	d_R^i	e_R^i	
$\phi_1 \rightarrow -\phi_1$	Type I	Φ_2	Φ_2	Φ_2	a.k.a. NFC – Type I or Inert
$\phi_2 \to -\phi_2, u_R \to -u_R$	Type II	Φ_2	Φ_1	Φ_1	a.k.a. "up-specifc" or NFC – Type I
$\phi_1 \rightarrow -\phi_1, e_R \rightarrow -e_R$	Lepton-specific	Φ_2	Φ_2	Φ_1	a.k.a. "lepton-specifc"
$\phi_1 \rightarrow -\phi_1, d_R \rightarrow -d_R$	Flipped	Φ_2	Φ_1	Φ_2	a.k.a. "down-specifc"

Symmetries can be advocated to fix which Higgs doublet interacts with which kind of fermions.

NFC=Natural Flavor Conservation



Paris SRCH parallels

Already? discussed in plenary



(Heavy) Neutrinos







Heavy Neutral Lepton characterization



Heavy Neutral Lepton leptogenesis

- Parameters are chosen in agreement with leptogenesis Phys. Rev. D 108 (2023) L101302 and oscillation data JHEP 09 (2020) 178:
 - $\Delta M = |M_1 M_2| = 1 \cdot 10^{-5} \, \mathrm{GeV}$
 - $M_N = M_1 \in [10, 80]$ GeV
- Unitarity of the mixing matrix $U_e^2/U^2 + U_{\mu}^2/U^2 + U_{\tau}^2/U^2 = 1$ to set:
 - $|U_{\mu 1,2}| \in [1 \cdot 10^{-6}, 1 \cdot 10^{-4}]$
- Six benchmarks selected (shown in the picture)

Displaced events – Normal Hierarchy



Displaced events – Inverted Hierarchy



Selection:

arlsruher Institut für Technologie	Two leptons, no photons $p_{T.miss} > 5 \ GeV, p_{T.\ell} > 1 \ GeV, E_{\ell} > 2 \ GeV$					
IH IH	No other track and no neutral hadron					
IH - -	$p_{T,miss} > 10 \; GeV$					
4	$cos\theta_{ll} > -0.8$					
	$M(l,l') < 80 \; GeV$					
	$\chi^2 < 10$					
	$ d_0 > 0.64 \ mm$					
•						

Heavy Neutral Lepton

up to bigger masses, probing Dirac vs. Majorana





Heavy Neutral Lepton fully reconstructible LLP and prompt with IDEA









Heavy Neutral Lepton ML-powered studies







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- Constrain BR(H \rightarrow vN_d)BR(N_d \rightarrow IW) to **0.1%** (at 2 σ)
- 25x higher significance compared to HL-LHC
 - ILC allows for high precision measurements!

Scalars

Type-1 "Inert-like" can be light!

2HDM parameter space for fixed $\cos(\beta - \alpha)$, Type I TR, ArXiv:2409.19657



[using thdmTools, Biekoetter ea, JHEP 01 (2024) 107]

Tania Robens

 $m_H = m_A = m_{H^{\pm}}$

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Light Scalar Bosons

ECFA 2024, 9.10.24

Type-1 "Inert-like" can be light!

Current constraints on alignment in 2HDMs



Tania Robens

Fully inert can be light!

$\circ \bullet$	0000	00	00
The Inert	Two-Higgs-Do	oublet model (ID	

- Two Higgs-Doublet model: 5 scalars, h, H, A, H+, H-. 0
- h is the SM Higgs with constraints from SM measurements. 0
- Add Z2 symmetry: $\phi_D \rightarrow -\phi_D, \phi_S \rightarrow \phi_S, SM \rightarrow SM$. 0
- New scalars do not couple to fermions and are pair-produced. 0





$ee \rightarrow IIHH and ee \rightarrow$ llvvHH.

Fully inert can be light!







Invisible can be light!

Motivation

• $e^+e^- \rightarrow Z S$ (scalar-strahlung) process could be used to probe new low mass scalar using Recoil Mass analysis technique.



- Light exotic scalar states at low masses are not excluded by existing data.
- We have considered hadronic decay of the Z boson which has a $Br(Z \to q\bar{q}) \simeq 70\%$ and invisible decay of new scalar - $S \to inv$ (which may include Dark Matter).
- This study considers the center of mass energy as 240 GeV.
- Previously, this was studied for CLIC at 380 GeV. Eur. Phys. J. Plus 136, 160 (2021)



$H \rightarrow ZZ \rightarrow vv\bar{v}v\bar{v}$

Simulation

Background Event Samples

- All background samples have been generated using the same chain of tools as for signal.
- Background consists of a combination of jets, leptons, and neutrinos.
- We have considered the final states consisting of two jets, four jets, two jets + two leptons, two jets + neutrinos, two jets + lepton + neutrino.

Recoil Mass Reconstruction



- Recoil mass is given by: $M_{\text{Recoil}} = 5 m_Z 2 \mu_Z V^3$
- A variable cut on $M_{
 m Recoil}$ is applied in a window of a given $M_S \pm 20$ GeV.
- Peaks seen in SM distribution are from ZZ (at 90 GeV) and ZH events (at 125 GeV).



Target I Search for light exotic scalars in the process:

 $e^+e^- \rightarrow Z S$

Production of new scalars can be tagged, independent of their decay, based on the recoil mass. Different scalar decay channels e.g. $b\bar{b}$, $W^{+(*)}W^{-(*)}$, $\tau^+\tau^-$ or invisible should be considered. Non-standard decays channels of the new scalar can also be looked for.

Cross section limits for $\sigma(e^+e^- \rightarrow ZS) \cdot BR(S \rightarrow \tau\tau)$ for different event categories and combined analysis



Mi F. final state digging deeper

0.100







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arXiv:2002.06034 arXiv:2107.13903



compared with decay independent limits from LEP and ILC

Multiple final state digging deeper



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The decay mode independent search broad sensitivity

Motivation and conditions current studies

Reimplementation of previous analysis with current experimental conditions and full simulation software

Full detector simulation and reconstruction procedures of the ILD at the ILC for \sqrt{s} = 250 GeV

Different Z decays modes want to be covered

Samples:

- v02-02-01

Calculation of the limits is going on

Background using new SM 250 GeV samples generated with Whizard v.2.8.5, the SetA beam-spectrum, simulation and reconstruction with the ILD I5 o2 v02 model, and ILCSoft

• Signal generated with Whizard v.2.8.5, the SetA beam-spectrum, detector simulation done by

Hints of light new particles requires HTE-level of $h \rightarrow \gamma \gamma$

- O Dominant decay modes of H^{\pm} : $\tau\nu$, tb
- **O** Considered Benchmark Point:

 $m_H = 152 \text{ GeV}, m_{H\pm} = 130 \text{ GeV}, \alpha - \beta \approx \pi/2$ $m_A = 200 \text{ GeV}, \tan \beta = 20, m_{12}^2 = 1100 \text{ GeV}$

- $O Br(H \rightarrow \gamma \gamma)$ required at the percent level.
- O Possible in Aligned 2HDM without Z_2 symmetry

