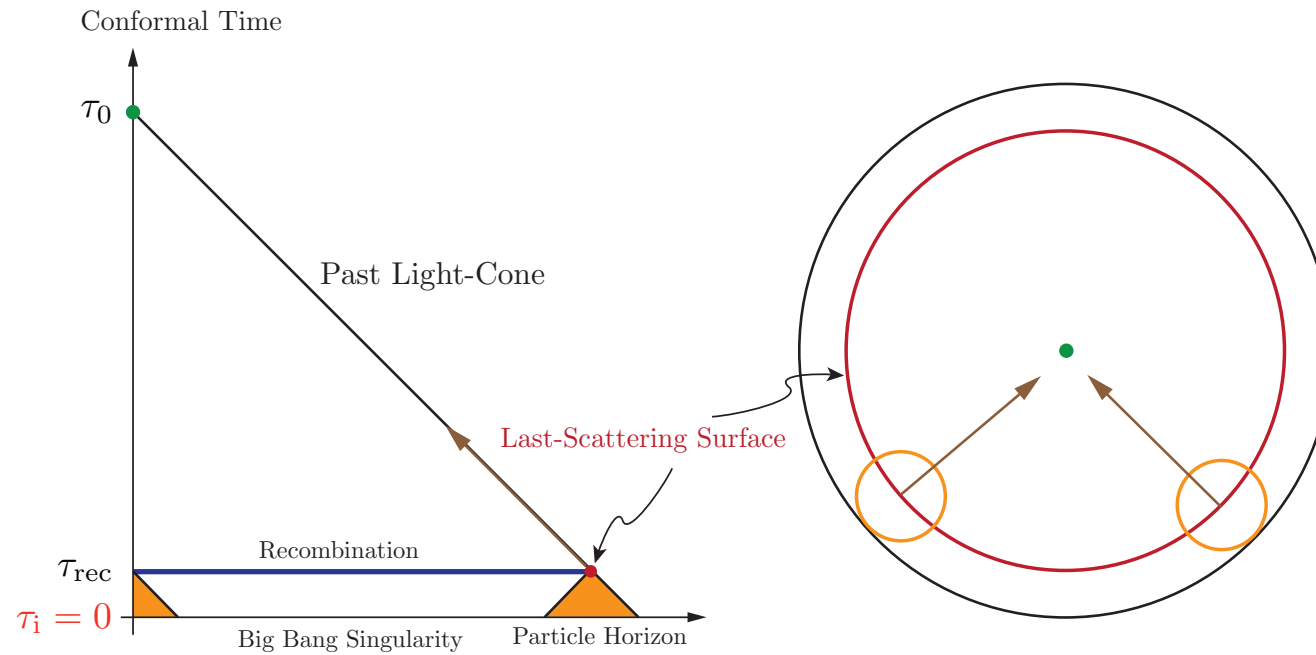


Probing cosmic inflation with LiteBIRD

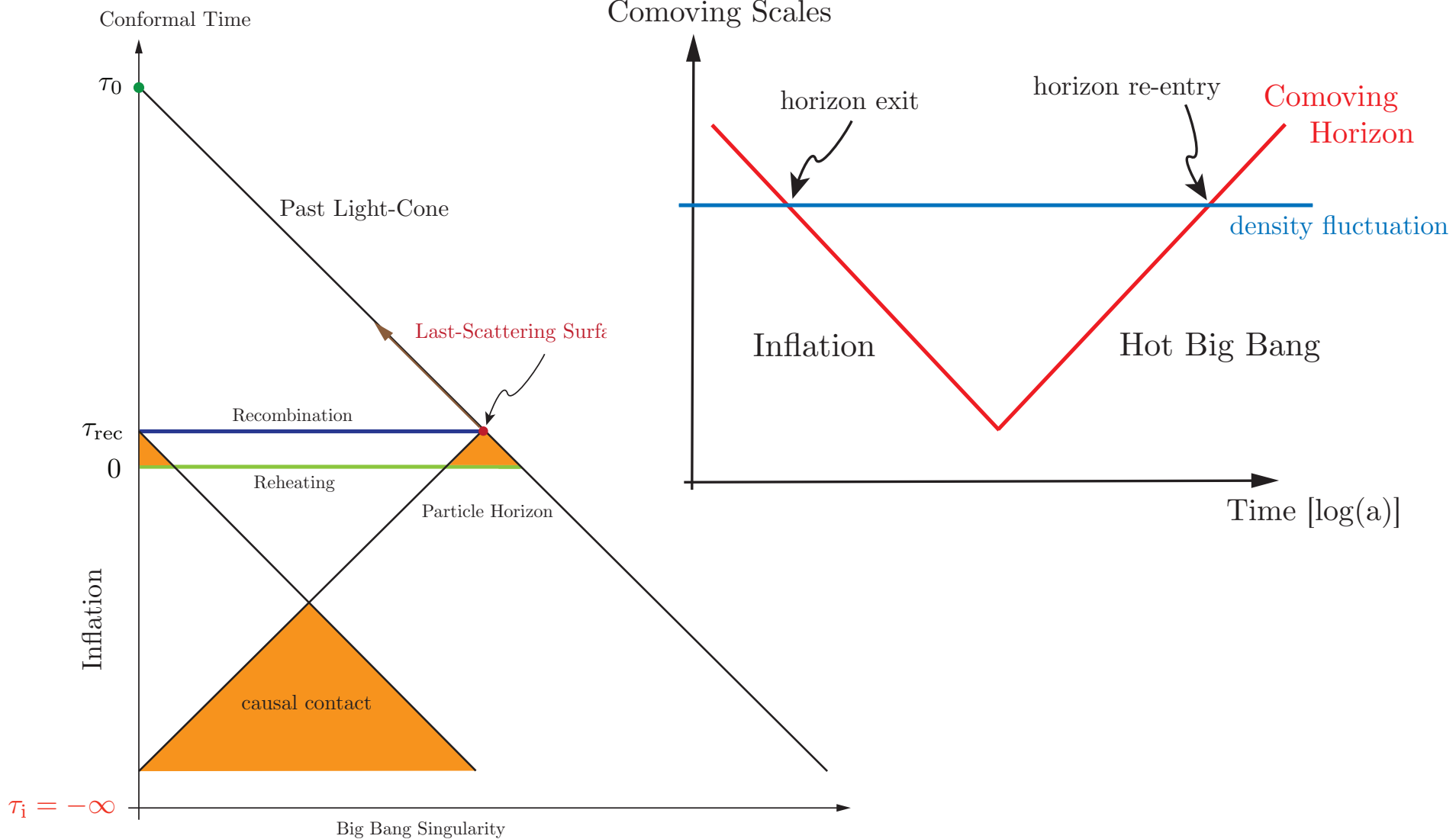
Clément Leloup for the LiteBIRD collaboration

Why inflation ?

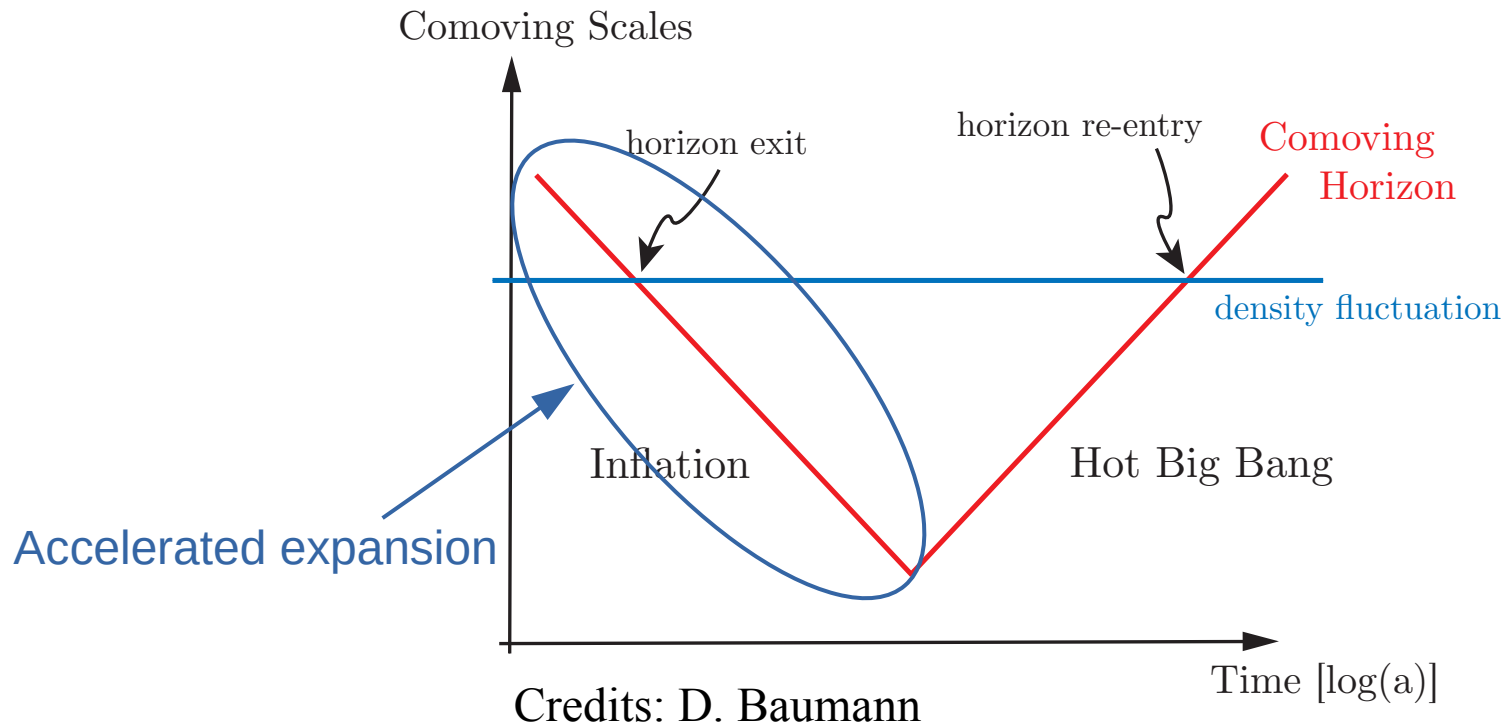


Credits: D. Baumann

Why inflation ?



Why inflation ?



- Shrinking comoving Hubble radius means:

$$0 > \frac{d}{dt} (aH)^{-1} = -\frac{\ddot{a}}{(aH)^2}$$

Why inflation ?

- This phase of accelerated expansion also solves the apparent spatial flatness while this is an unstable state:

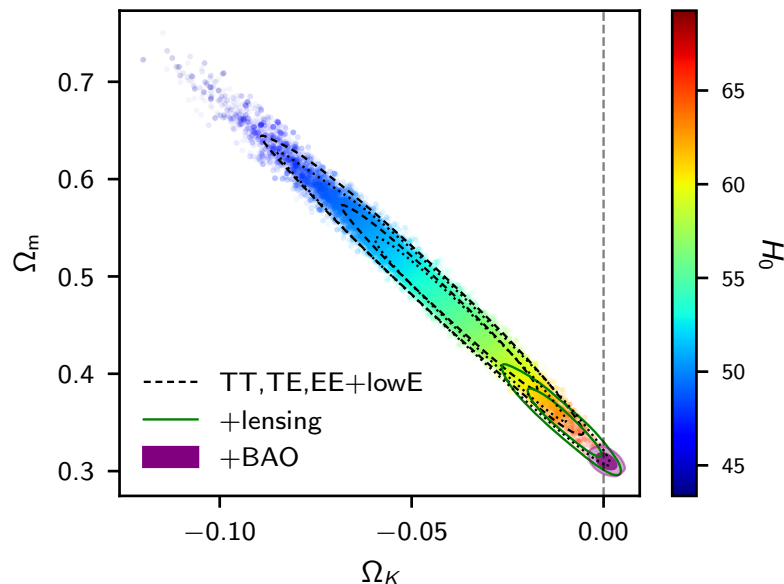
$$1 - \Omega(a) = -\frac{K}{(aH)^2} \equiv \Omega_K(a)$$

- During inflation:

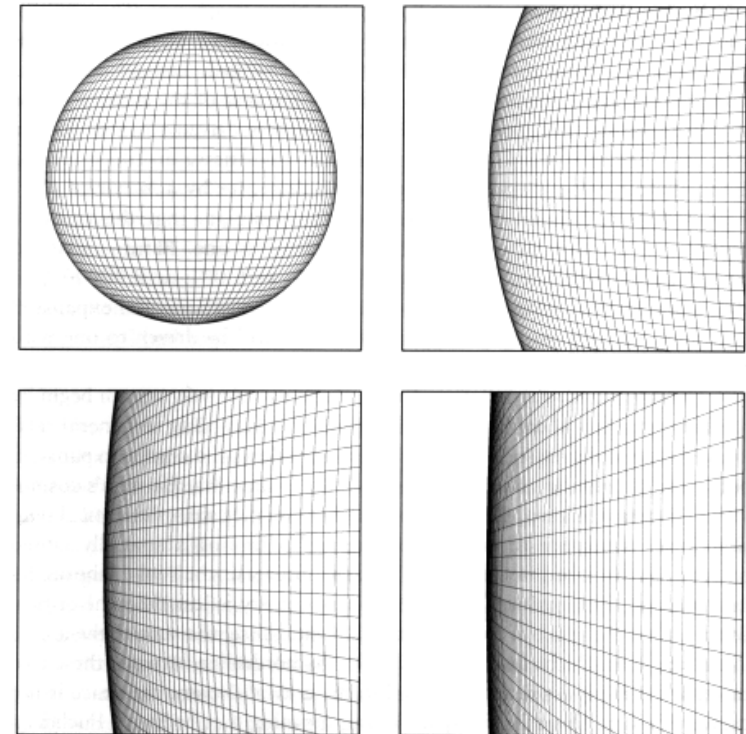
$$1 - \Omega(a) \rightarrow 0$$

- Today:

$$\Omega_K = 0.0007 \pm 0.0019$$



Planck 2018



How inflation ?

- Accelerated expansion requires, from Friedmann equation:

$$\frac{\ddot{a}}{a} = -\frac{1}{6} (\rho + 3p) \Rightarrow p < -\frac{1}{3}\rho$$

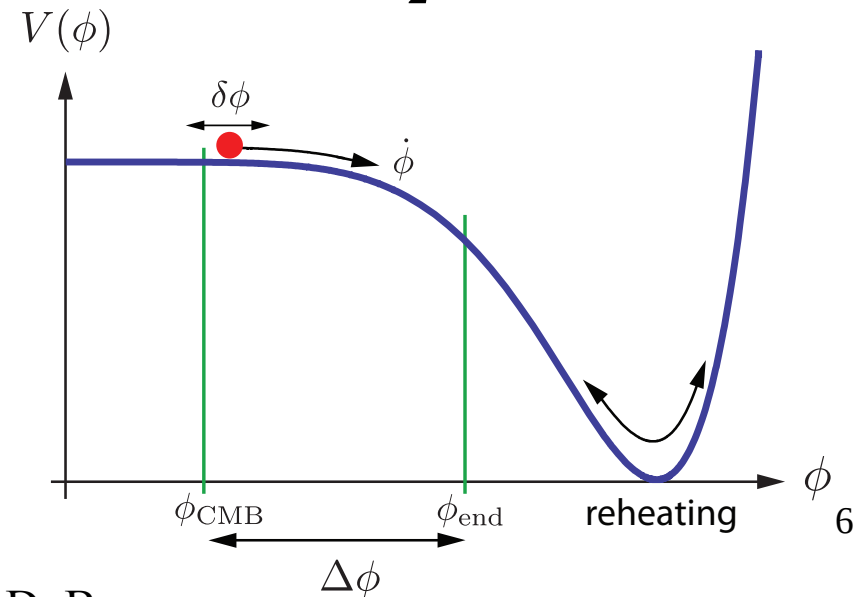
- Easily implemented by introducing a scalar degree of freedom:

$$\mathcal{L}_\phi = \frac{1}{2} g^{\mu\nu} \partial_\mu \phi \partial_\nu \phi - V(\phi) \quad \Rightarrow \quad w_\phi = \frac{p_\phi}{\rho_\phi} = \frac{\frac{1}{2} \dot{\phi}^2 - V}{\frac{1}{2} \dot{\phi}^2 + V}$$

- We introduce slow-roll parameters to quantify the flatness of the potential

$$\epsilon_V \equiv \frac{M_P^2}{2} \left(\frac{V_{,\phi}}{V} \right)^2 \ll 1$$

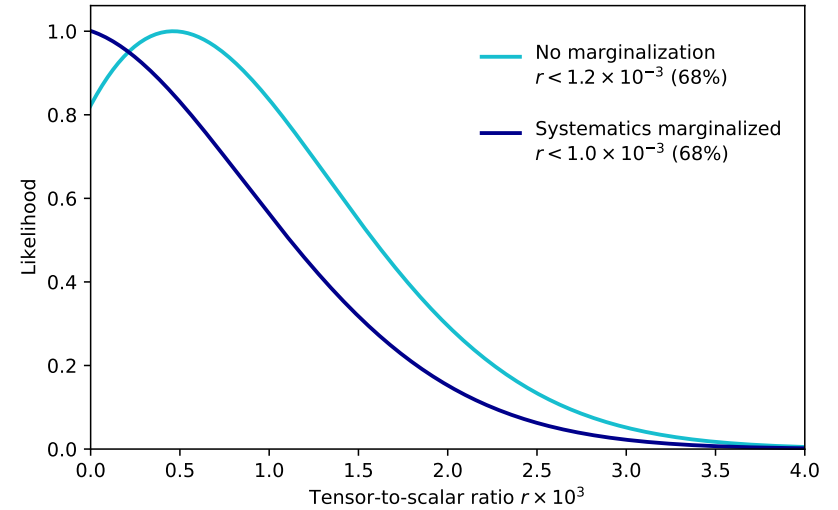
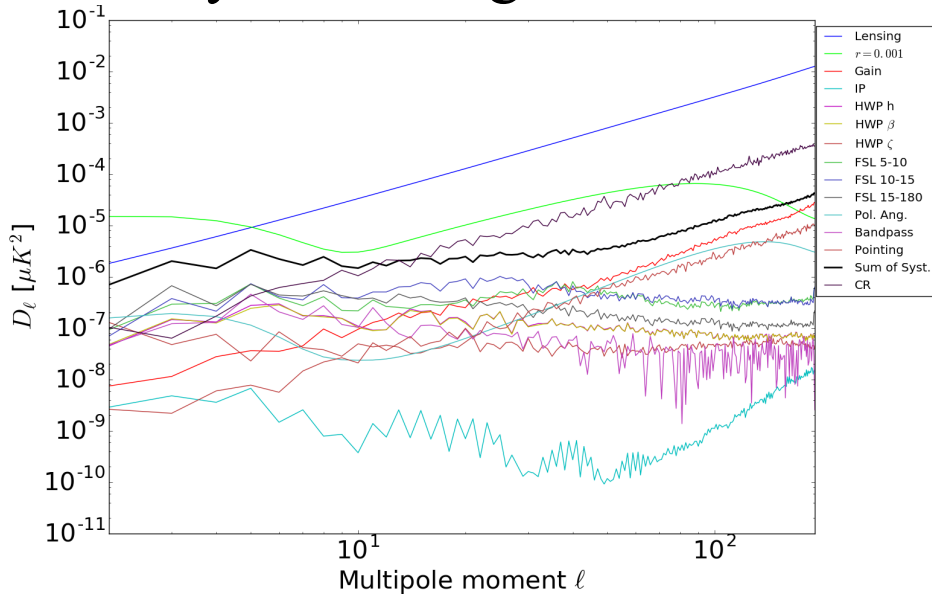
$$\eta_V \equiv M_P^2 \frac{V_{,\phi\phi}}{V} \ll 1$$



LiteBIRD contribution

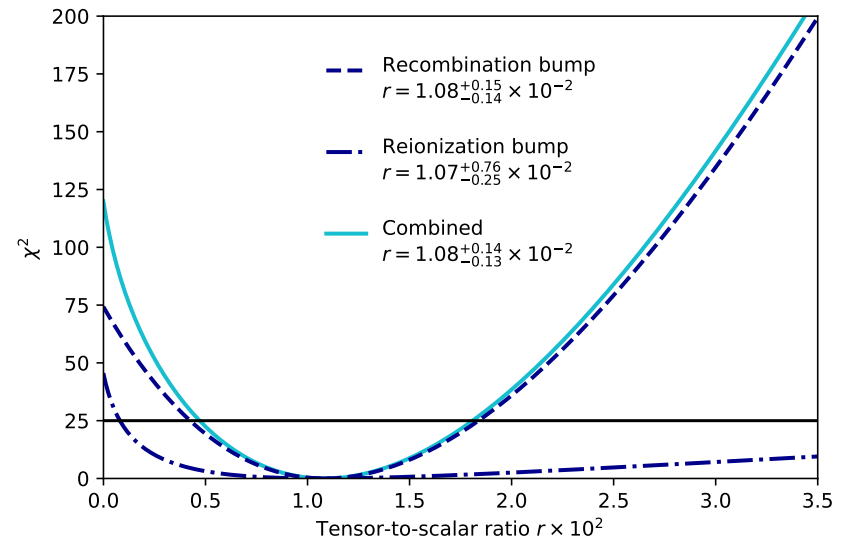
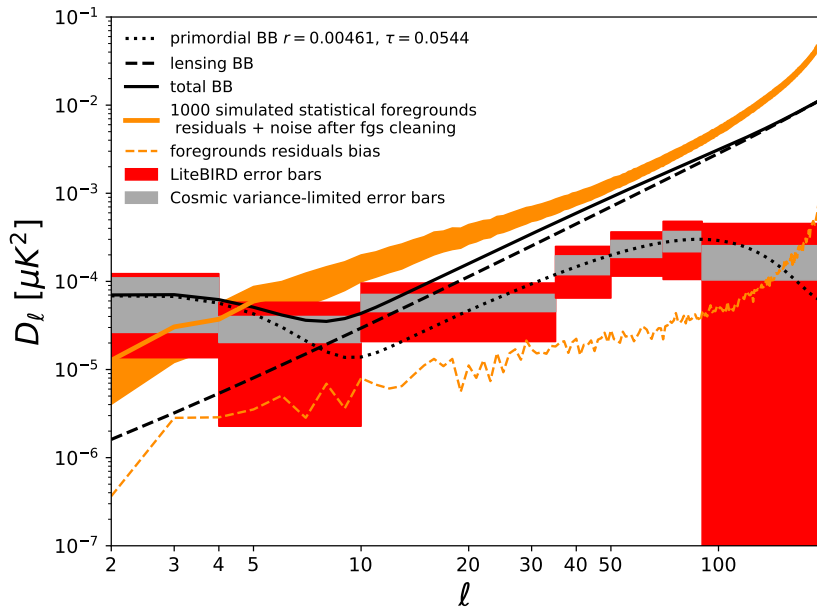


➤ By measuring the CMB B modes, LiteBIRD can constrain inflation



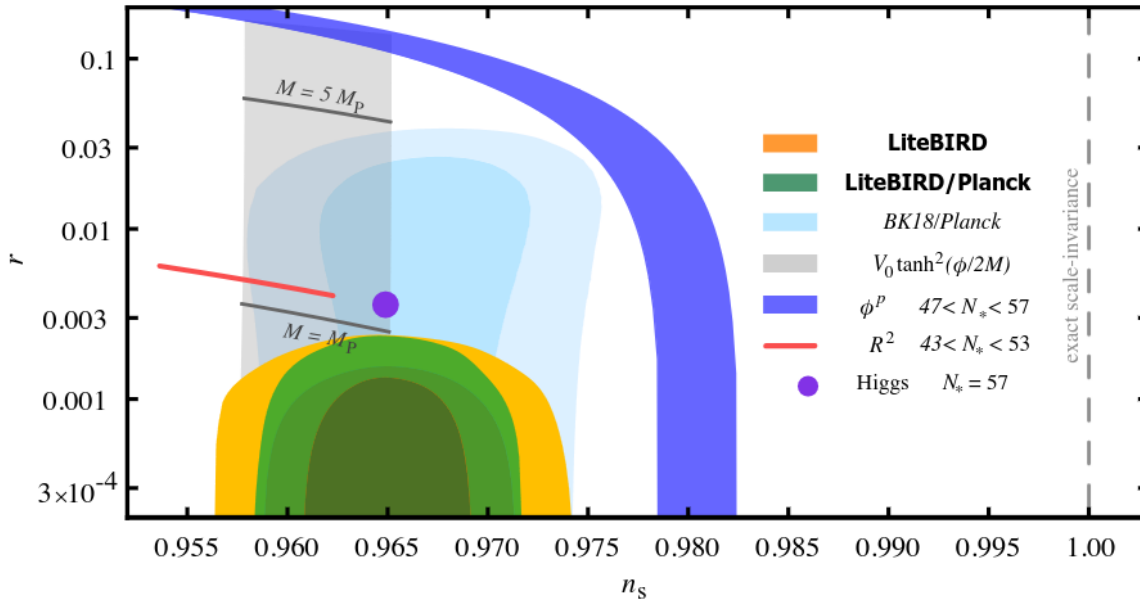
⇒

$$r = 0$$



$$r = 10^{-2}$$

LiteBIRD contribution



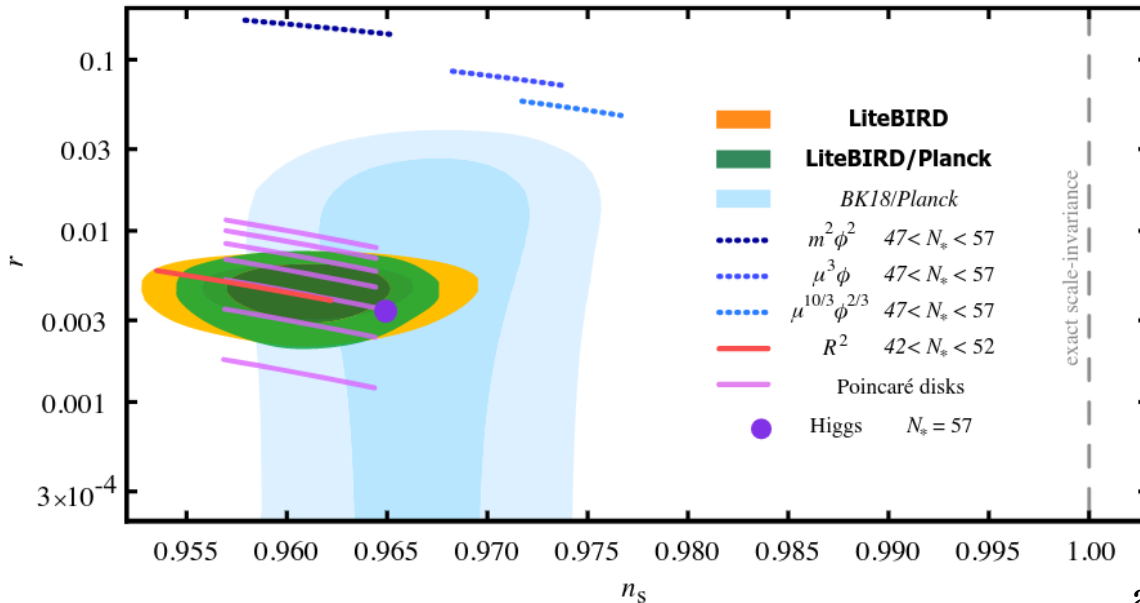
➤ From constraints on r and under slow-roll assumptions, we can infer:

- Energy scale of inflation

$$V^{1/4} = 1.04 \times 10^{16} \text{GeV} \left(\frac{r}{0.01} \right)^{1/4}$$

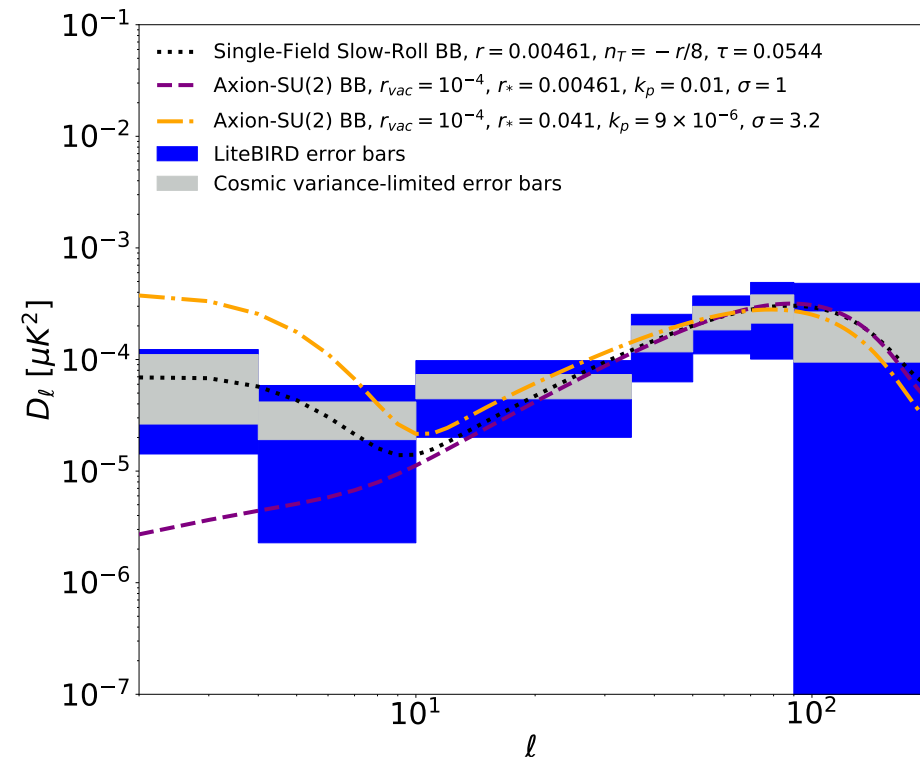
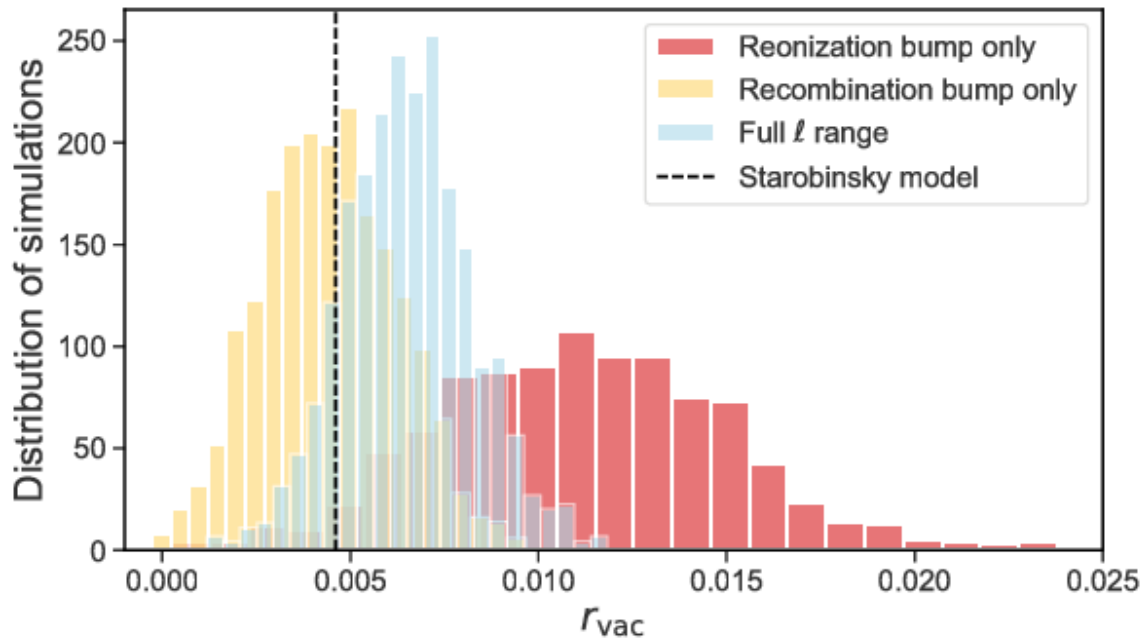
- Distance traveled by the inflaton

$$\frac{\Delta\phi}{M_P} \gtrsim \left(\frac{r}{8} \right)^{1/2} N_*$$



- Beyond single-field slow-roll scenario:
example of the spectator axion-SU(2) gauge field inflation

$$\mathcal{L} = \mathcal{L}_\phi - \frac{1}{2}g^{\mu\nu}\partial_\mu\chi\partial_\nu\chi - V(\chi) - \frac{1}{4}F_{\mu\nu}^a F^{a\mu\nu} + \frac{\lambda}{4f}\chi F_{\mu\nu}^a \tilde{F}^{a\mu\nu}$$



➤ Other potential contributions from LiteBIRD:

- Investigate the slow-roll consistency relation

$$r = -8n_t$$

- Non-gaussianities of CMB polarization
- Constraints on inflation from E-modes
- Primordial magnetic fields produced during inflation