

Evidence for enhanced collectivity in ^{58}Fe examined through Coulomb excitation

Giorgia Pasqualato

Joa Ljungvall

Andrew Stuchbery

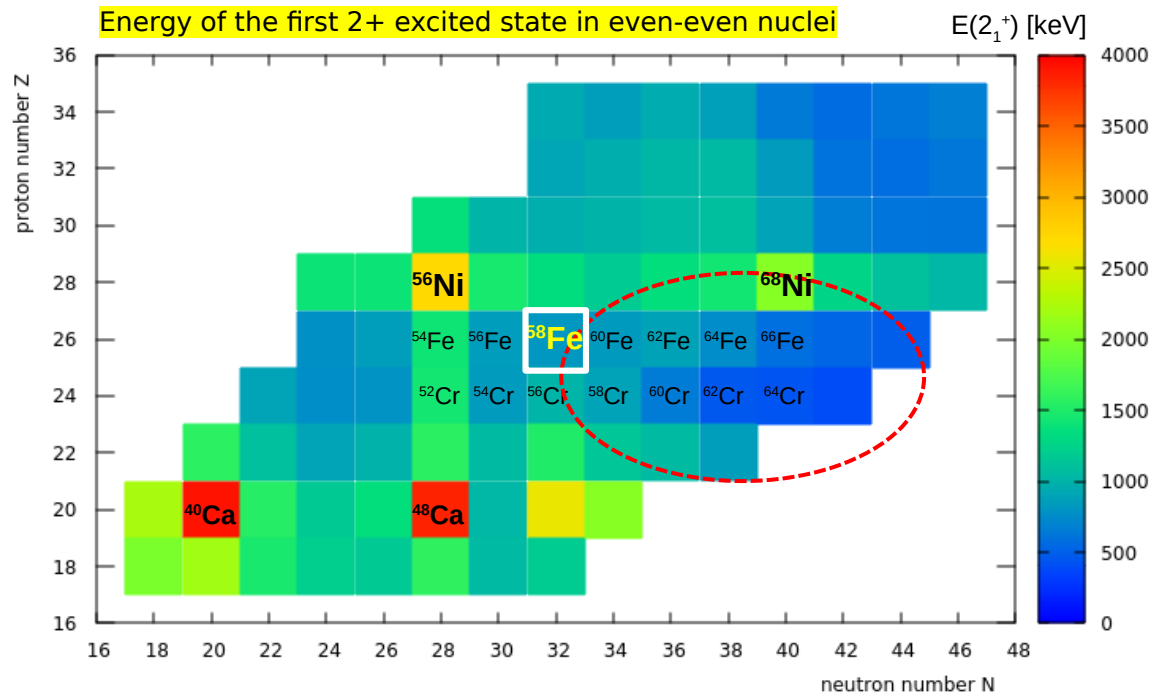
^{58}Fe ($Z=26$) is placed at the border of a region of the nuclear chart where a **development of collectivity** has been observed and predicted*.

+

Proximity to the $Z=28$, $N=40$ doubly-magic nucleus ^{68}Ni .

*J. Ljungvall et al., Phys. Rev. C 81 (2010) 061301.

*S. M. Lenzi, F. Nowacki, A. Poves and K. Sieja, Phys. Rev. C 82 (2010) 054301.



^{58}Fe ($Z=26$) is placed at the border of a region of the nuclear chart where a **development of collectivity** has been observed and predicted*.

+

Proximity to the $Z=28$, $N=40$ doubly-magic nucleus ^{68}Ni .

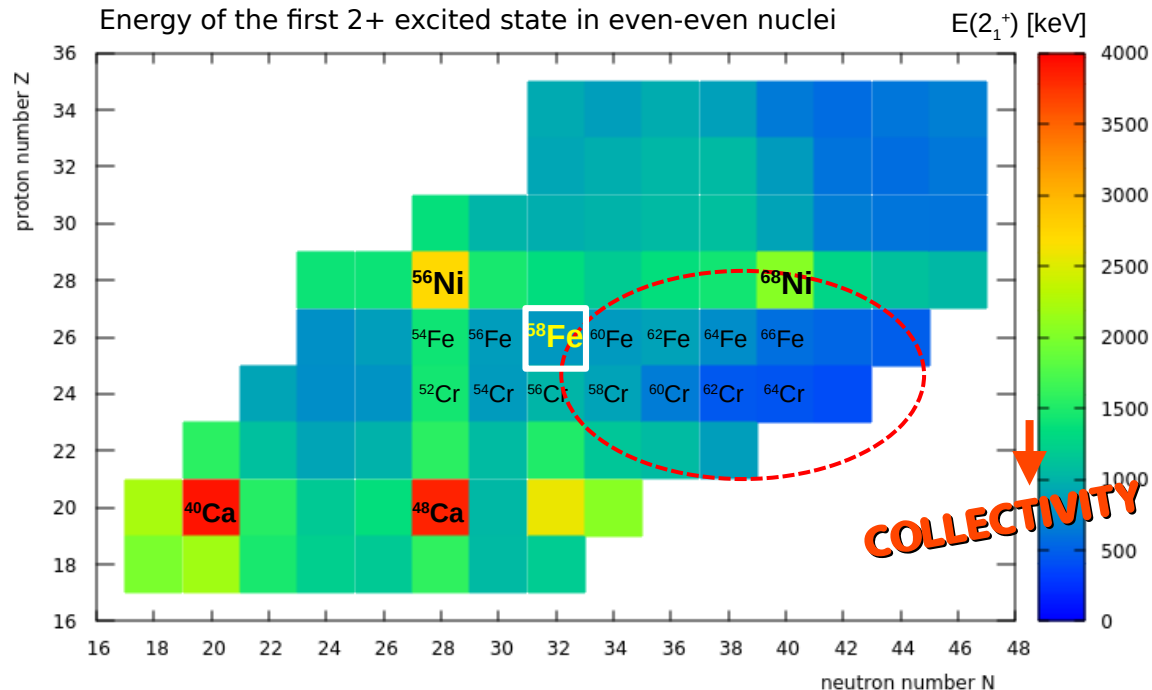
Contrast between two opposite behaviors:

- **Collectivity**: nuclear states can be described as the collective motion (the interaction) between many valence nucleons.

→ **easy to excite**

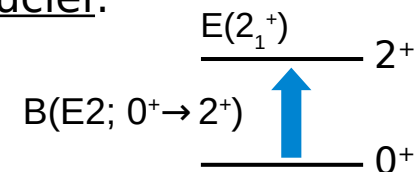
- **Single-particle**: only few nucleons are involved on the definition of the nuclear states wave functions

→ **pretty stable over excitation**

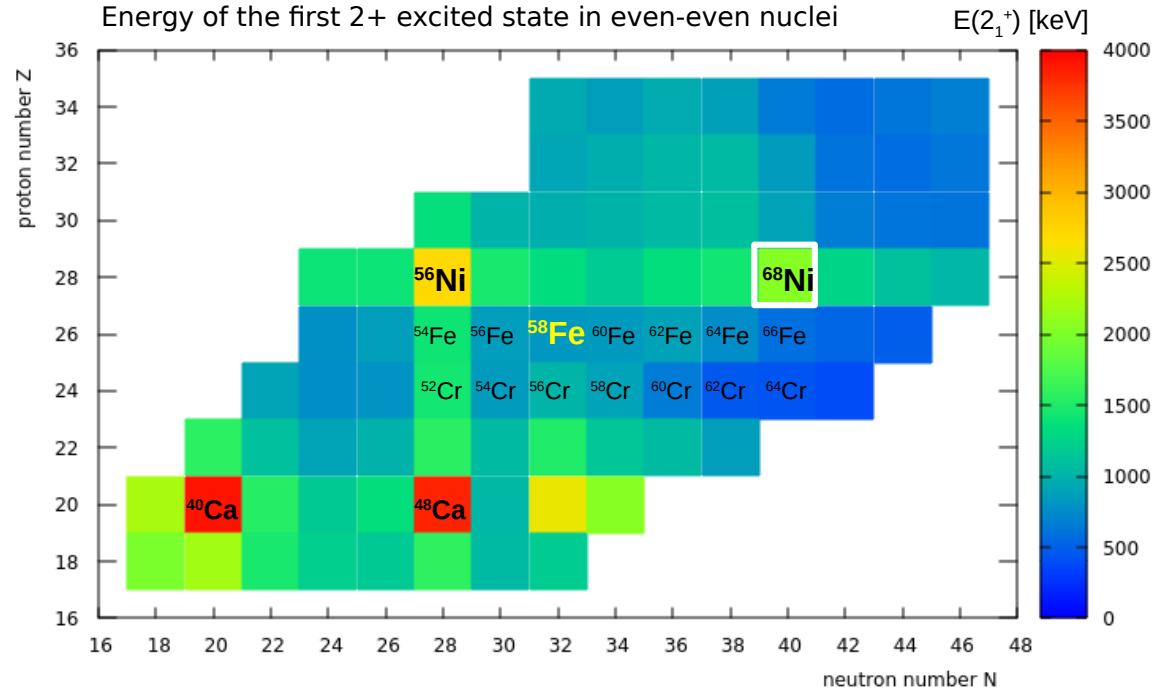
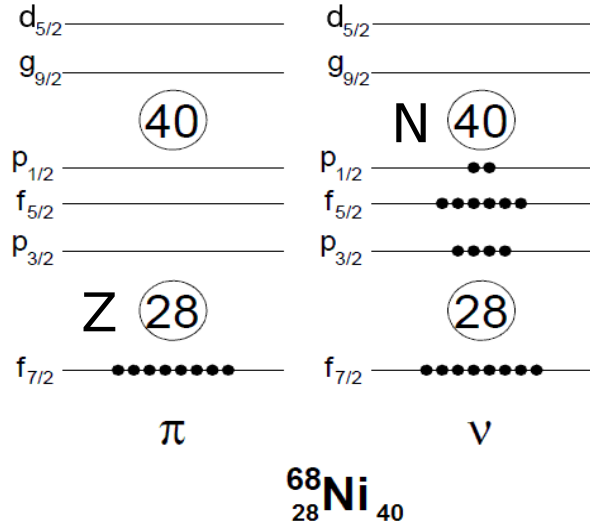


Fingerprints of collectivity in nuclei:

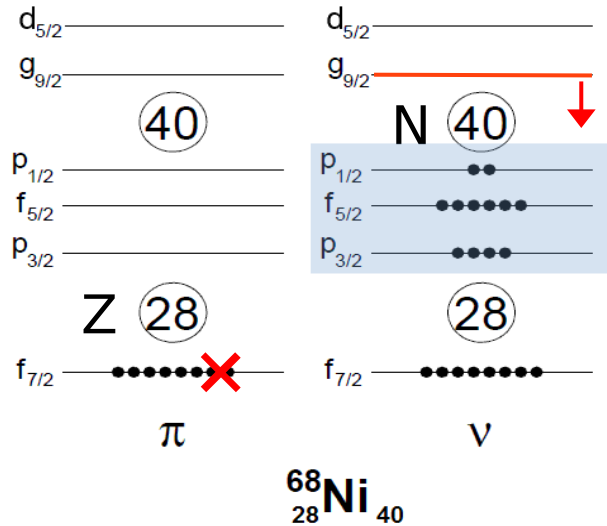
- Small $E(2^+)$
- Large $B(E2)$



Microscopic explanation :

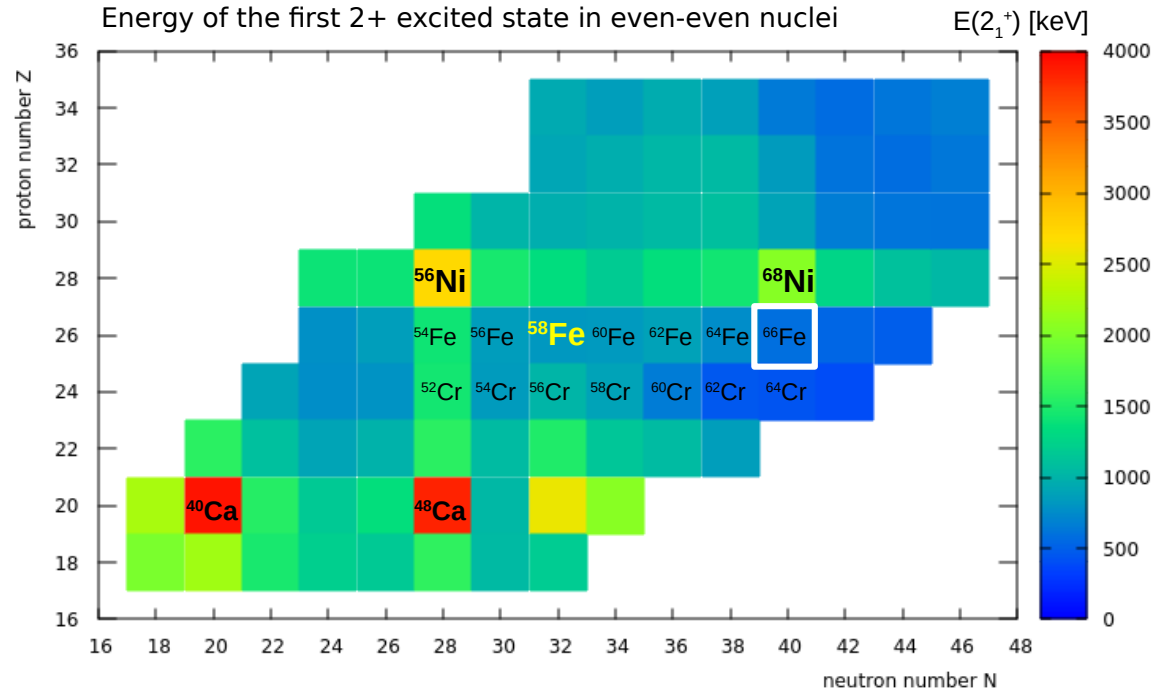


Microscopic explanation :

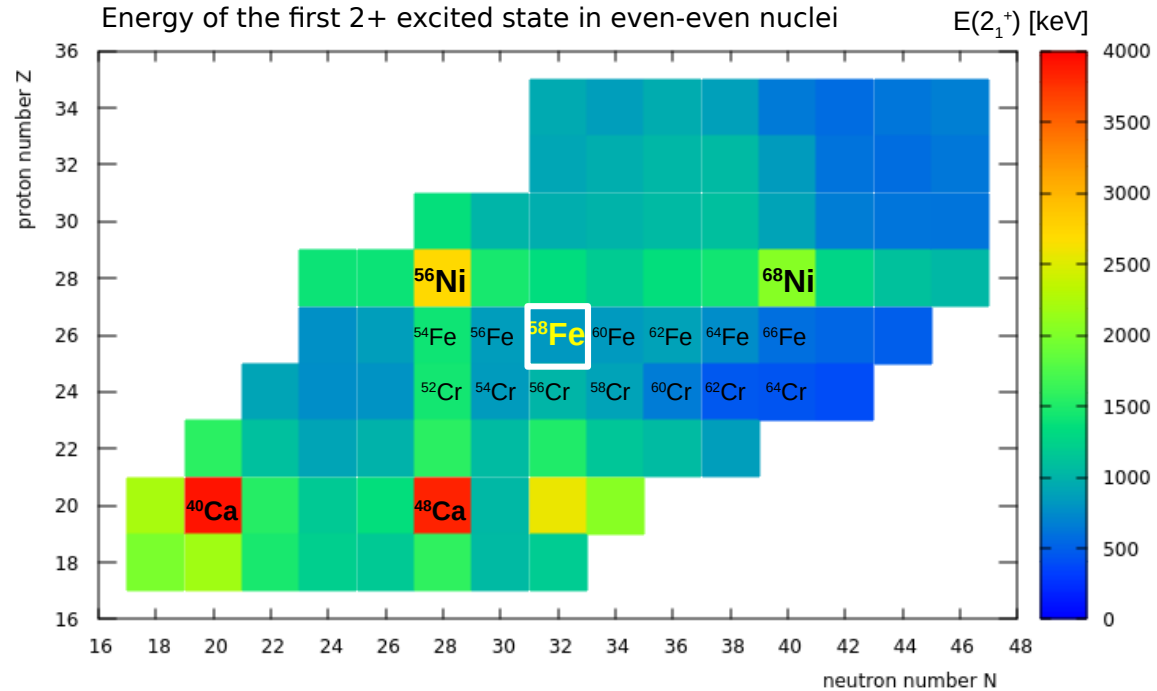
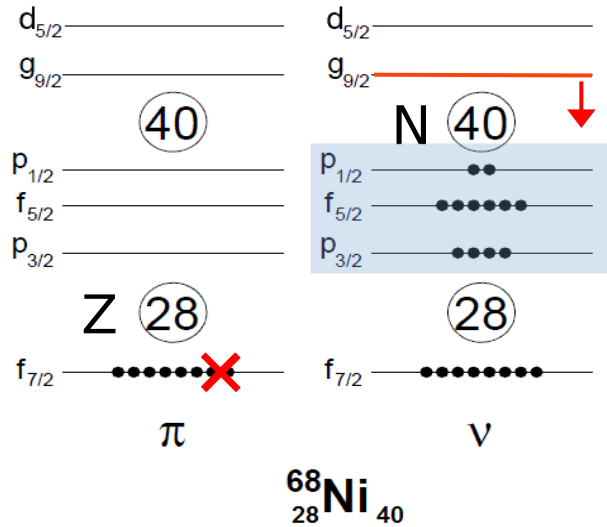


Removing 2 protons from the $f_{7/2}$ orbital implies a re-distribution of neutron orbitals in the fp shell with the lowering of the $g_{9/2}$ orbital

- enhancement of correlations between neutrons and protons
- **increased collectivity**



Microscopic explanation :



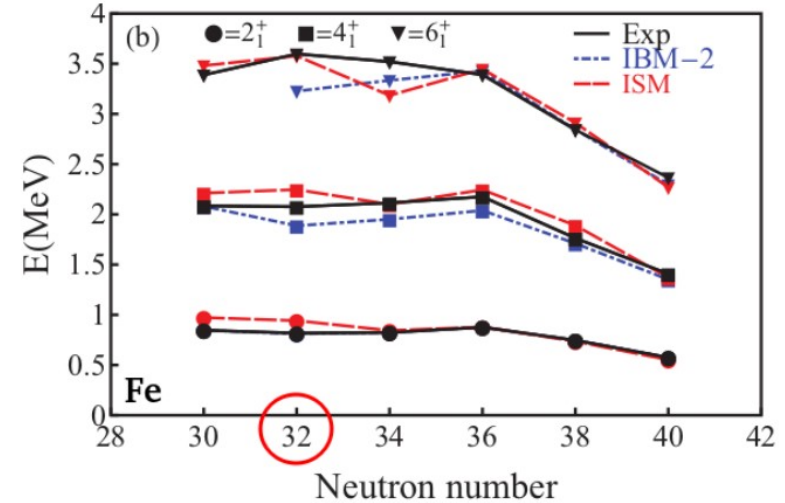
To study this mechanism and understand its microscopic origin, other than the energy of the first excited state, more sensitive probes need to be investigated, such as **reduced transition probabilities**.

$$B(E2; 0^+ \rightarrow 2^+) \uparrow \frac{E(2_1^+)}{2^+}$$

This region is accessible by different theoretical models, e.g. by the interacting shell model (ISM) and the interacting boson model (IBM-2)*.

*J. Kotila and S. M. Lenzi, Phys. Rev. C 89 (2014) 064304.

The calculated [energy of the first excited states](#) for iron isotopes are supported by experimental data.



This region is accessible by different theoretical models, e.g. by the interacting shell model (ISM) and the interacting boson model (IBM-2)*.

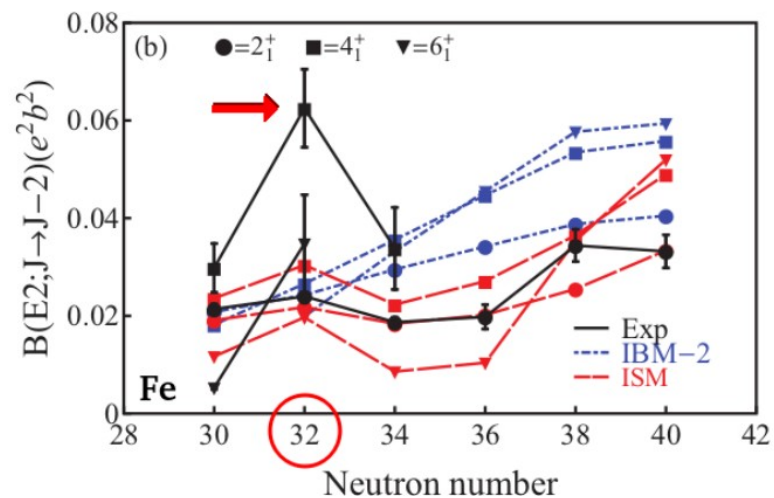
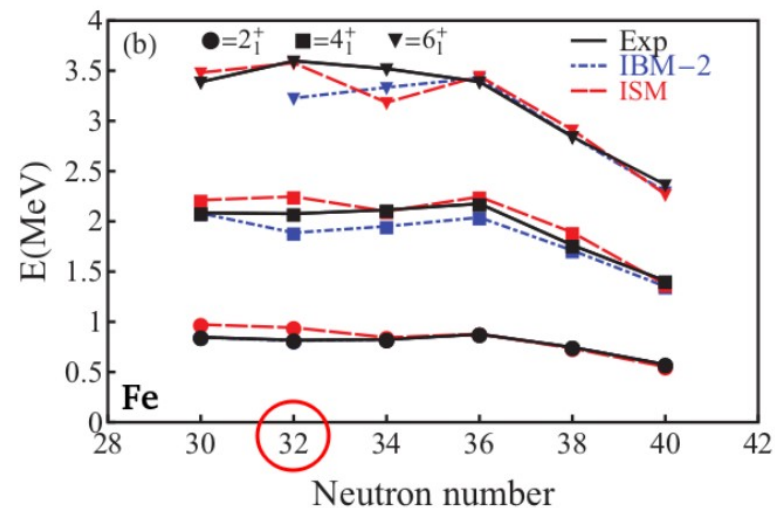
*J. Kotila and S. M. Lenzi, Phys. Rev. C 89 (2014) 064304.

The calculated **energy of the first excited states** for iron isotopes are supported by experimental data.

The value of **transition probabilities** show the **increase of collectivity going towards N=40**.

Experimental data support the model predictions, however...

Large disagreement for the $B(E2; 4_1^+ \rightarrow 2_1^+)$ at N=32.



Two possible scenarios:

- The adopted value is wrong.
- Something not included in the calculations is at play for this state.

Two possible scenarios:

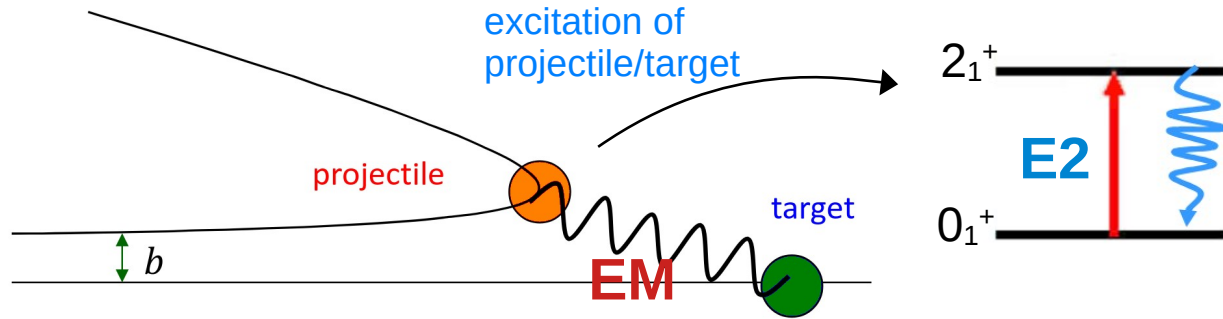
- The adopted value is wrong.
 - The $B(E2; 4^+ \rightarrow 2^+)$ has been obtained only via lifetime measurements. $\tau = 0.53(9)$ ps using the $^{55}\text{Mn}(\alpha, p)^{58}\text{Fe}$ reaction, is the closest to the one predicted
- Something not included in the calculations is at play for this state.

*Andrew Stuchbery, Honours Thesis, University of Melbourne (1977).

The $B(E2; 4^+ \rightarrow 2^+)$ can be studied via multi-step Coulomb excitation.

→ ^{58}Fe has been already studied in Coulomb excitation, but limiting excitation to the 2^+ state.

How does it work?

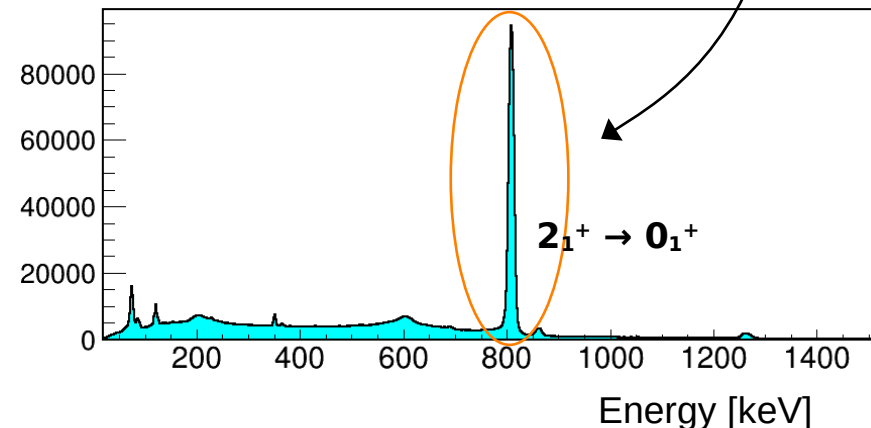


The matrix elements $\langle J_f || E2 || J_i \rangle$ describe the excitation and decay process.

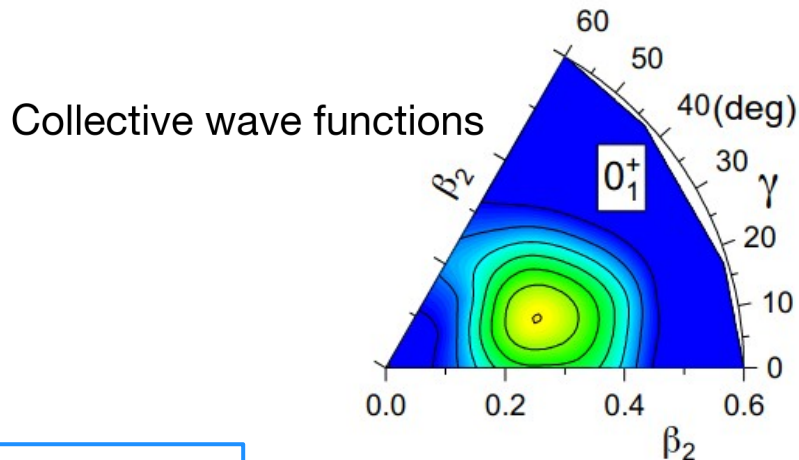
→ they are directly related to **γ -ray intensities** observed in the spectra.

What can we measure?

- the reduced transition probability $B(E2; 4_1^+ \rightarrow 2_1^+)$.
- Measure the quadrupole moment of the 2_1^+ state.
- Measure the β_2 , γ deformation parameters to infer the shape of the g.s.



SCCM : Symmetry Conserving Configuration Mixing model

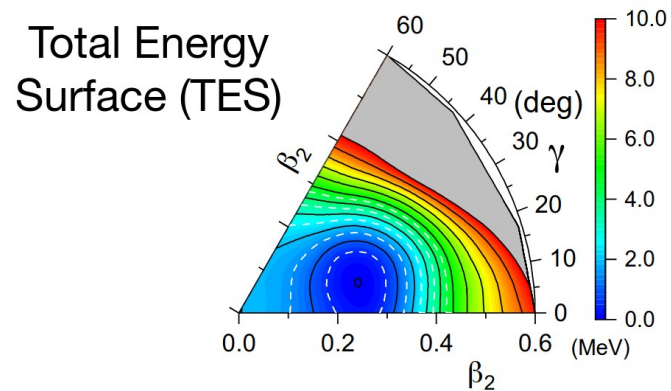


ground state band 0^+ , 2^+ , 4^+ , etc., built on top of a **triaxial-prolate** state

Tomás R. Rodríguez

What can we measure?

- the reduced transition probability $B(E2; 4_1^+ \rightarrow 2_1^+)$.
- Measure the quadrupole moment of the 2_1^+ state.
- Measure the β_2 , γ **deformation** parameters to infer the shape of the g.s.



Beam: ^{58}Fe , energy 220 MeV.

Beam prepared with a high enrichment of ^{58}Fe .

→ The beam energy respects the Cline safe-energy criteria

Target: ^{208}Pb , 2 mg/cm², self supporting.

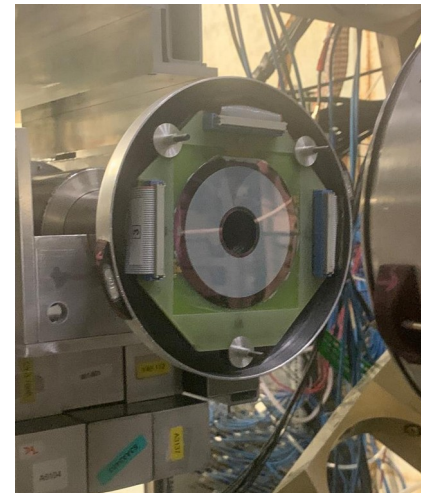
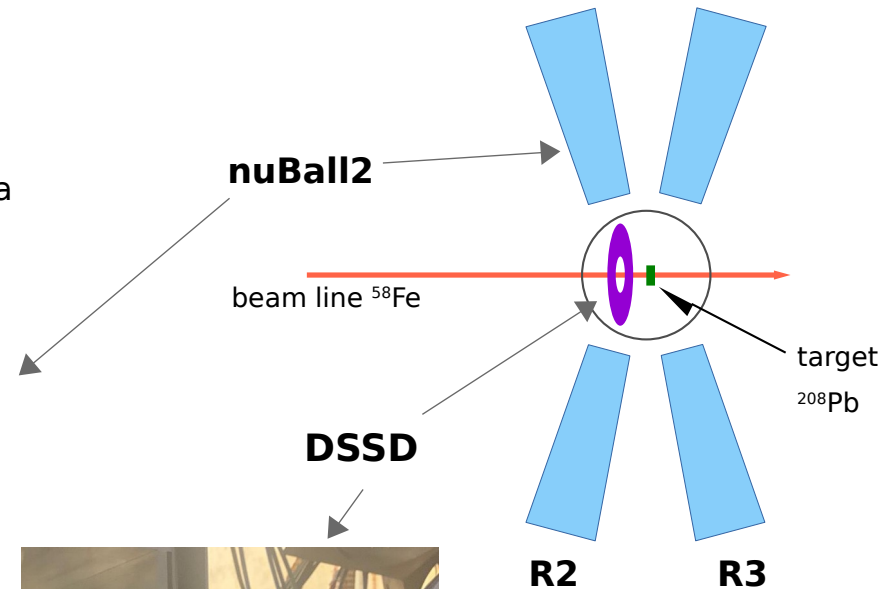
Experimental setup :

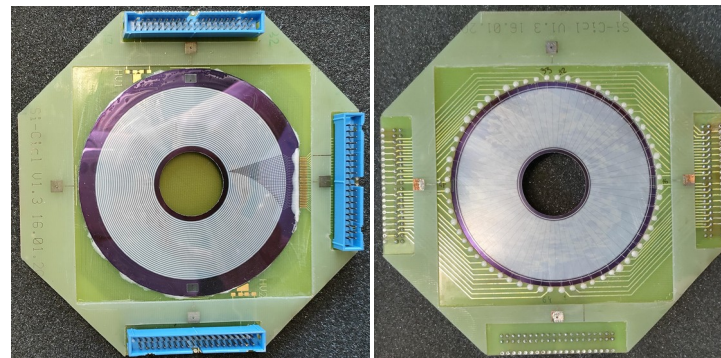
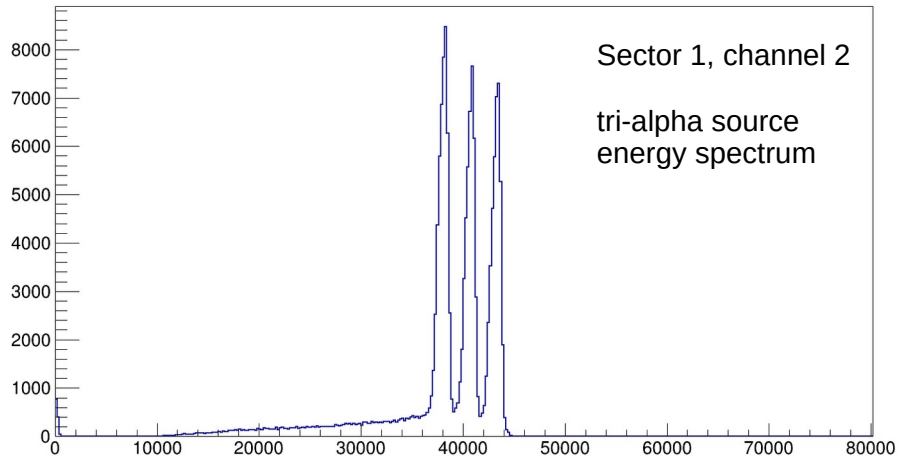
● nuBall2 :

2 rings of 12+12 Compton-suppressed clovers of HPGe.

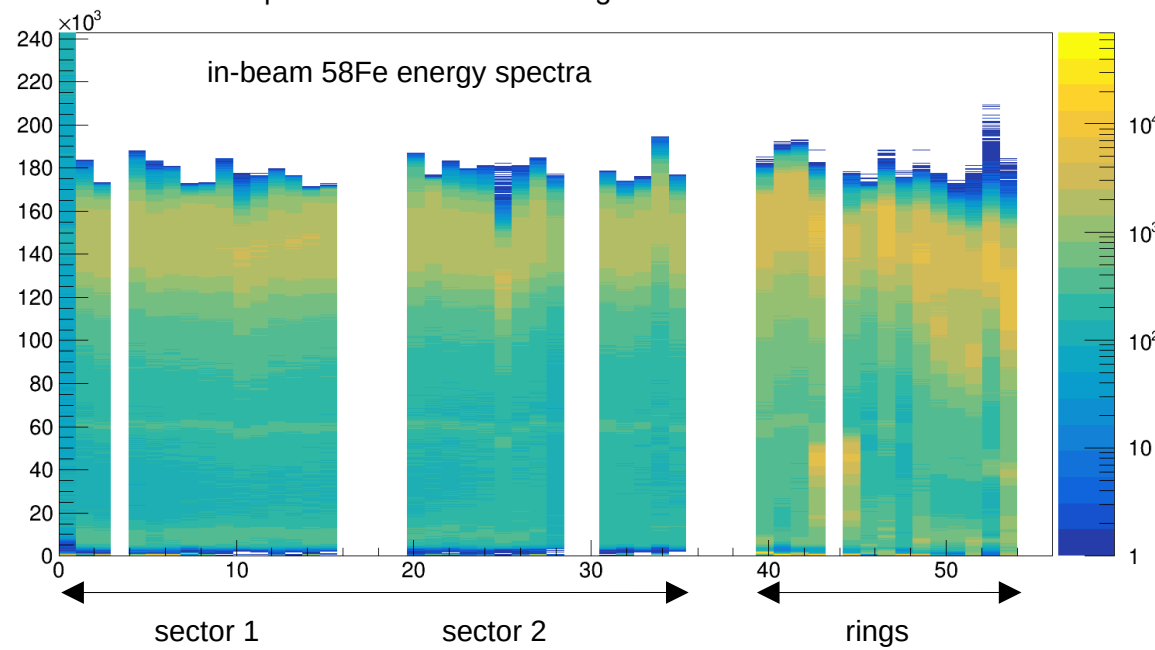
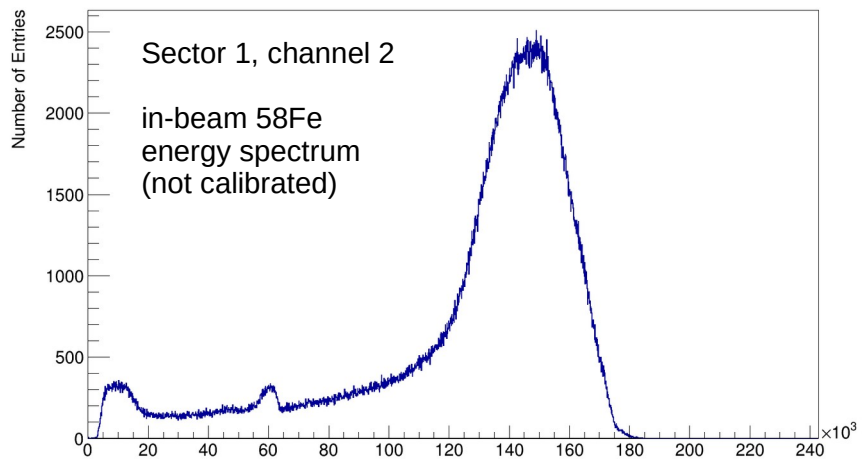
● HIL-Warsaw DSSSD :

highly-segmented Si detector at backward angles.

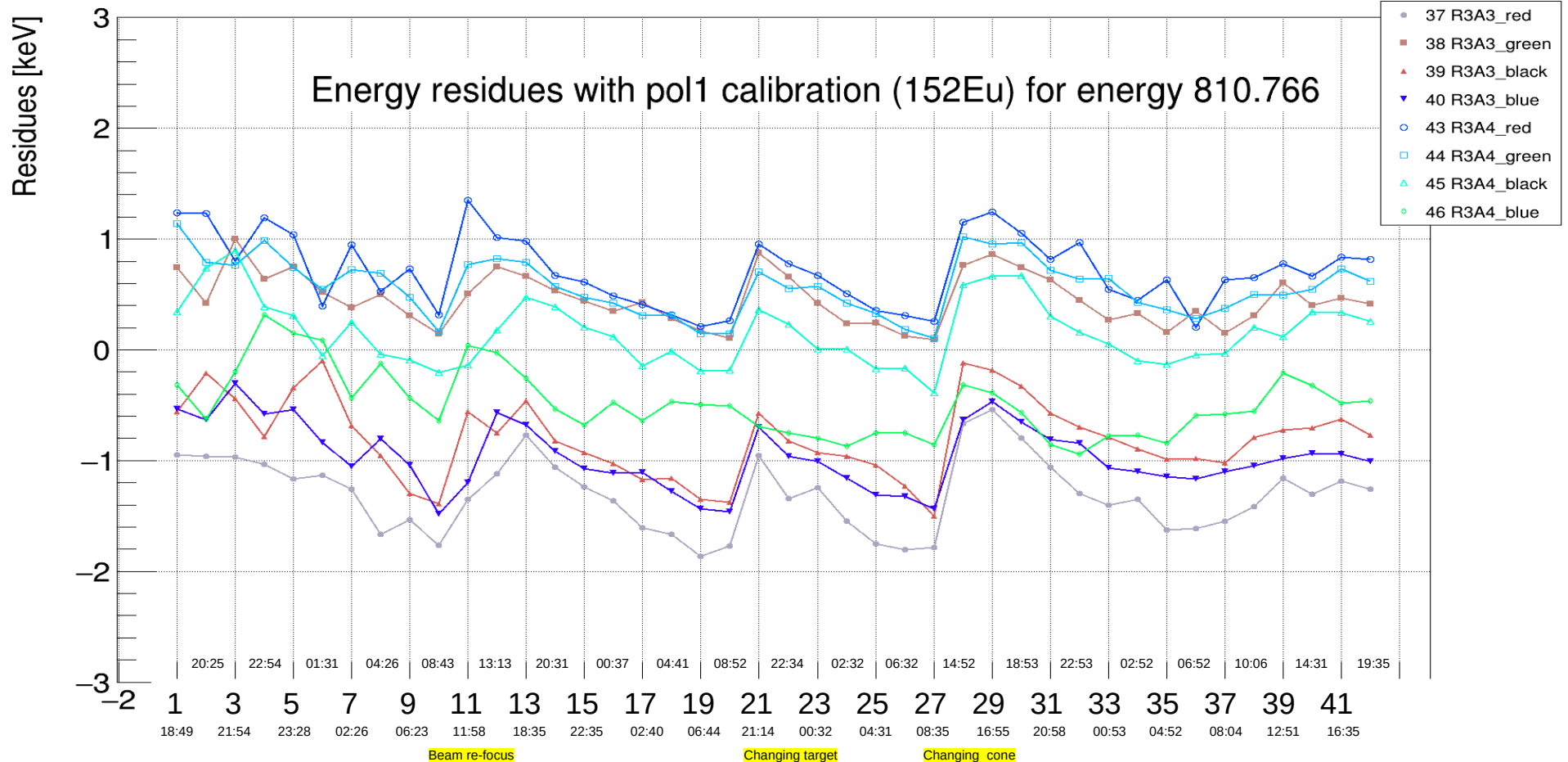




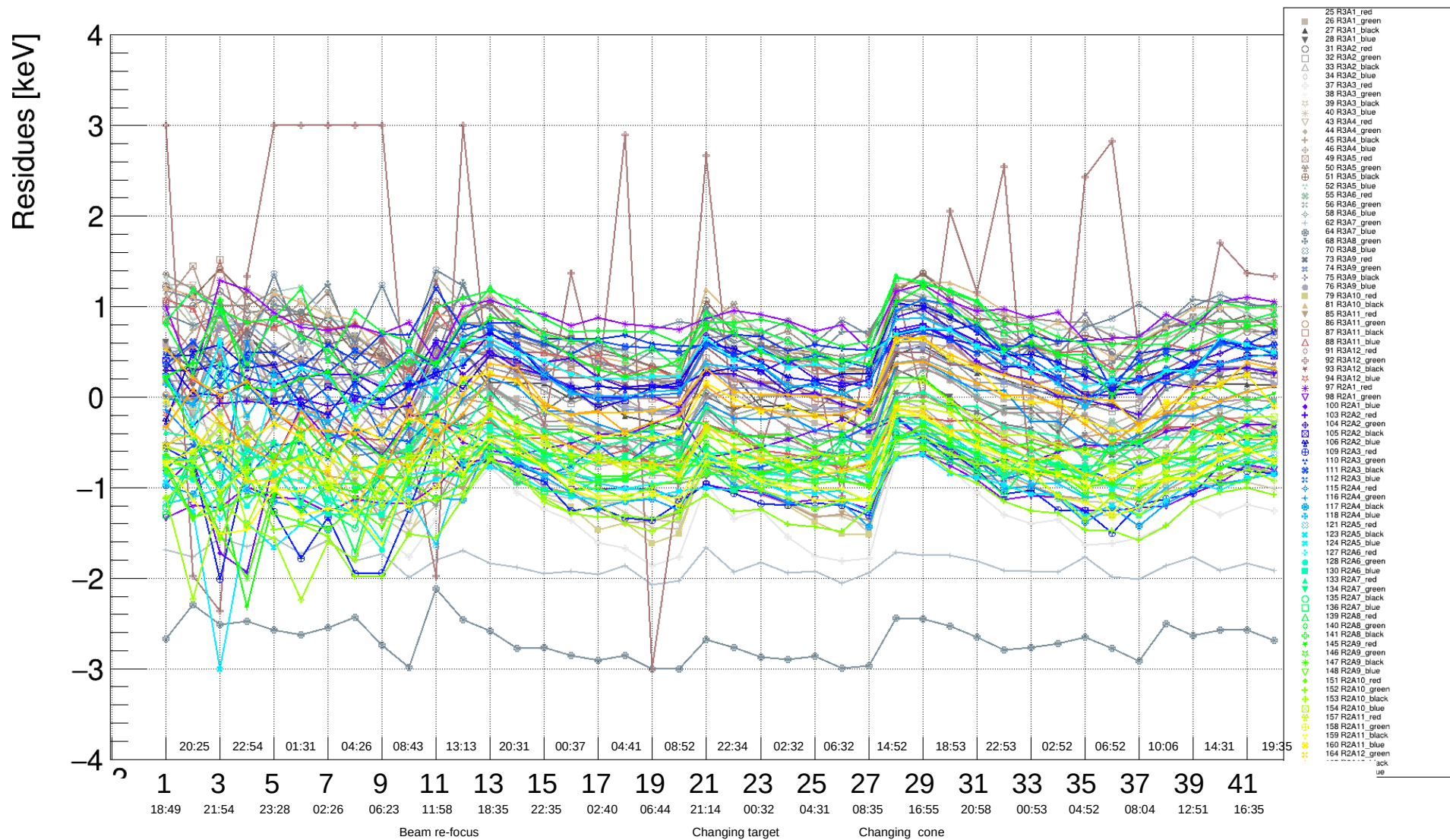
DSSD spectra each channel 1 ring et 1 sector in coincidence



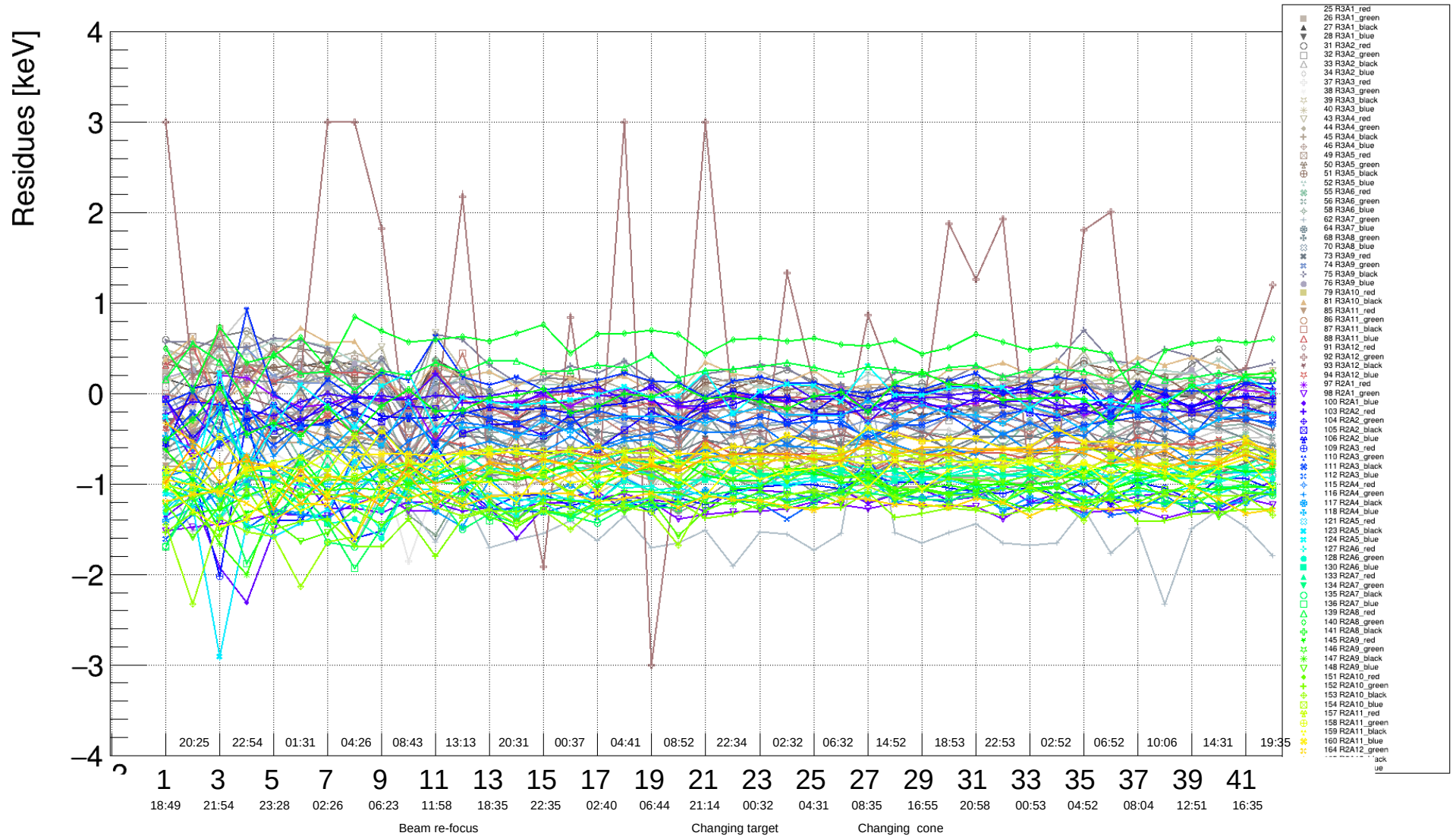
Linear correction for all runs using the ^{152}Eu source + correction of the gain shift using the most intense peaks in the spectra for each run.



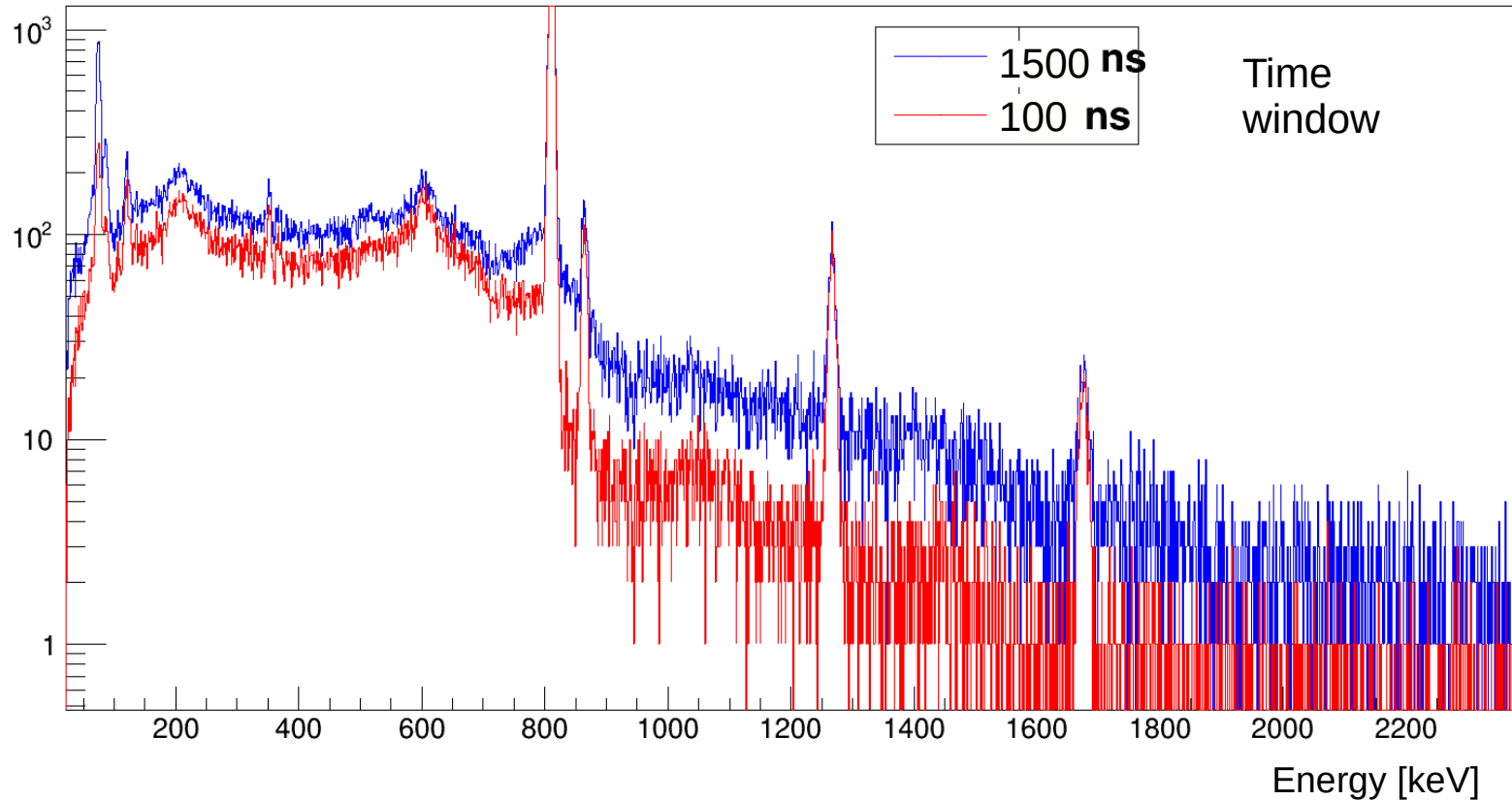
Energy residues with pol1 calibration (152Eu) for energy 810.766000



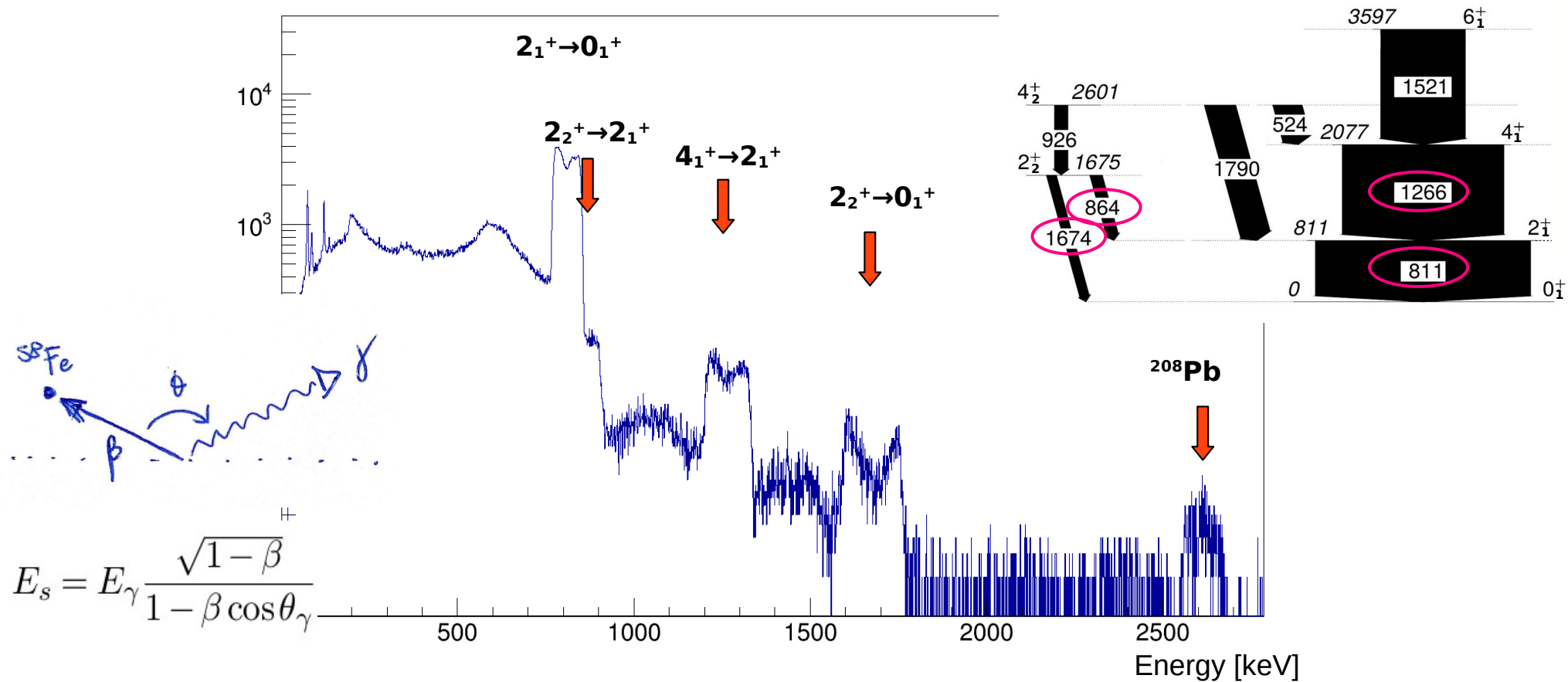
Energy residues with pol1 calibration (152Eu) + run_pol1 for energy 810.766000



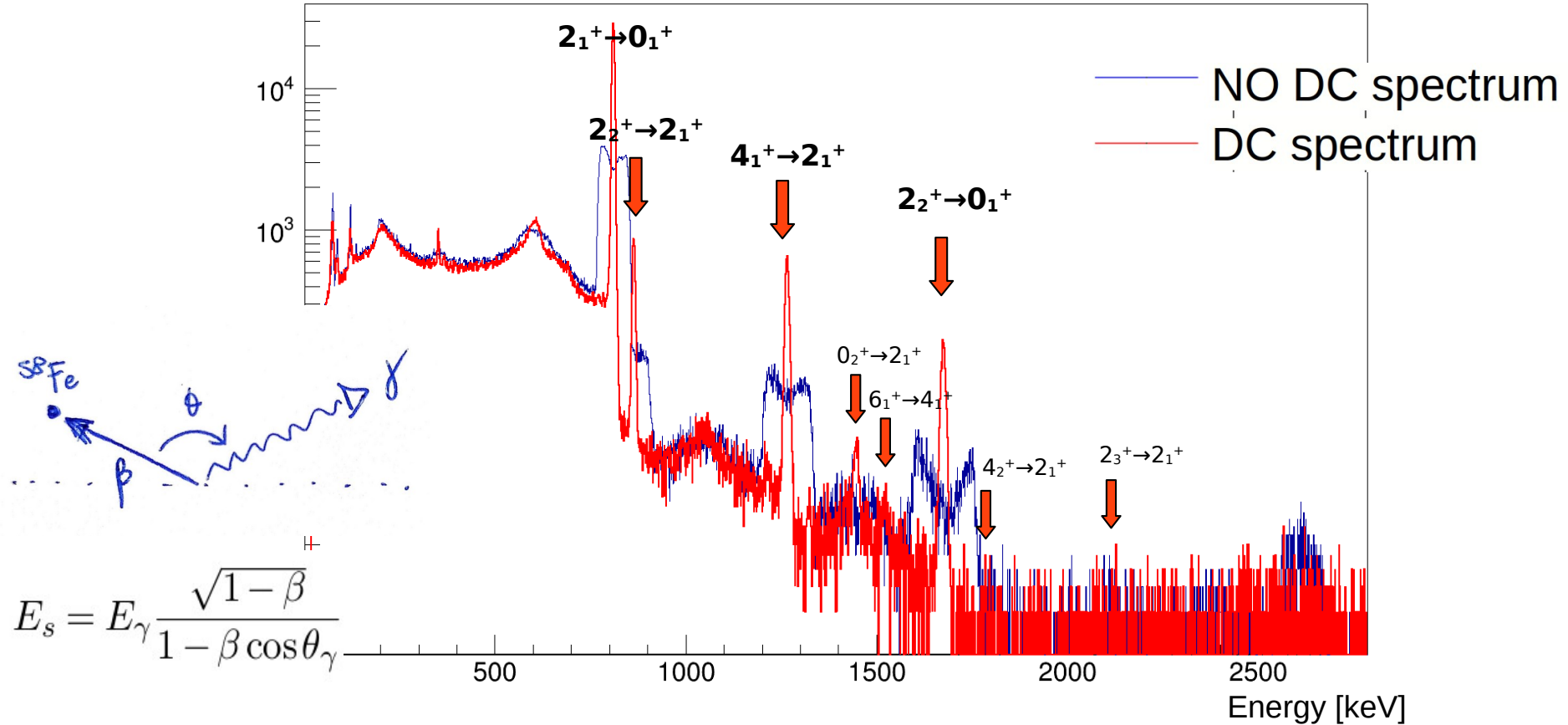
Time alignment is performed individually for each run using a reference detector (LaBr).
The time window in the event building is chosen in order to enhance the signal to background ratio



The gamma rays detected by nuBall are emitted in-flight, when the scattered ^{58}Fe is in motion with a velocity β from the target to the DSSD. A Doppler correction is needed to create proper energy spectra



The gamma rays detected by nuBall are emitted in-flight, when the scattered ^{58}Fe is in motion with a velocity β from the target to the DSSD. A Doppler correction is needed to create proper energy spectra



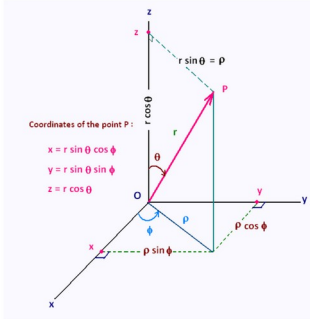
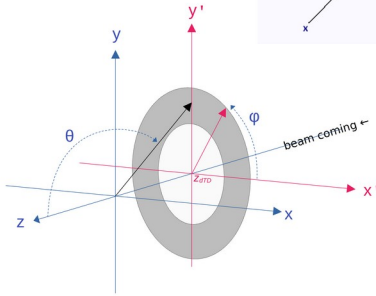
For the Doppler correction....

- DSSD segment position (32x16)
- Crystal position (96)
- Clover rotation (4)
- Recoil velocity

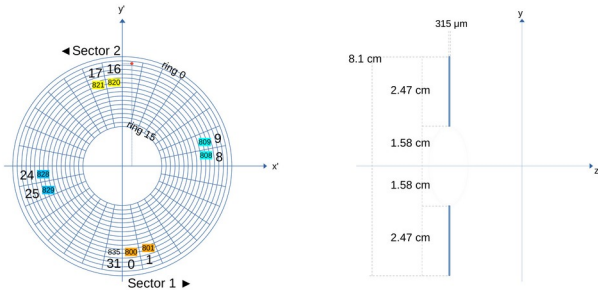
DSSD:

DSSD lay on a plane $x'y'$ parallel to the xy plane at $z_{DSSD} = -3.26$ cm (distance measured from Doppler corrected data for my experiment).

Each "pad" is defined as the intersection of one ring and one sector and can be univocally determined by a combination of θ and ϕ (or a set of Cartesian coordinates x,y,z).



Sectors are labelled from 0 to 31 and ring are labelled from 0 to 15 following the placement in the figure below:



The placement of the DSSD is sensitive to the operator procedure. Therefore, it must be optimized using the data. I adopted a minimization procedure for the sigma of the g.s. transition Doppler-corrected peak, in order to find the correct position of the centre of the DSSD, applying a translation of (dx, dy) , and a rotation around the z axis ($d\phi$), as well as for z_{DSSD} . As a reference, I found out: $dx = -0.14$ cm; $dy = -0.03$ cm; $d\phi = -0.45$ radians.

FRAME OF REFERENCE:

To define the geometry, I utilize a spherical coordinate frame of reference, with θ and ϕ representing angles as depicted in the figure on the right.

During the experiment, the reference frame is rotated to align the z -axis with the direction of the beam. Consequently, the horizontal axis, x , points to the right when facing the incoming beam, while the vertical axis, y , points upward (as illustrated in the figure below).

HPGe:

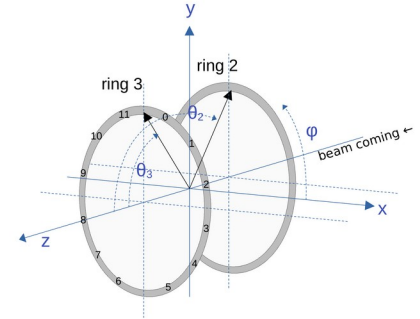
The Ge crystals are arranged in two rings around the z axis:

- Ring 3 is the one closest to the beam dump
- Ring 2 therefore is the one closest to the beam source.

From my analysis (minimization procedure as for the DSSD positioning, see DSSD section) the centre of the rings, supposed to coincide with the centre of a clover, have theta angles equal to:

- $\theta_3 = 1.342$ radians (76.9°)
- $\theta_2 = 1.752$ radians (100.4°)

Clovers are labelled from 0 to 11 for ring 3 and from 12 to 23 for ring 2. The phi (ϕ) coordinates listed below (in radians) refer to the centre position of each clover.



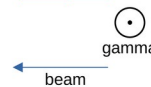
from clover 0 to 11:

1.3089969, 0.78539816, 0.26179939, 6.0213859, 5.497787, 4.974188, 4.45058959, 3.9269908, 3.403392, 2.879793, 2.35619449, 1.8325957 and from clover 12 to 23:
1.3089969, 0.78539816, 0.26179939, 6.0213859, 5.497787, 4.974188, 4.45058959, 3.9269908, 3.403392, 2.879793, 2.35619449, 1.8325957

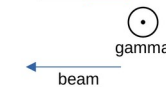
Each clover is composed of 4 HPGe crystals; the centre position of each crystal has been found with the minimization procedure, optimizing the angle differences from the centre of the corresponding clover ($\delta\theta, \delta\phi$). Those are listed in the excel table as well as the θ, ϕ angles of each clover centre.

Every clover has the same crystals placement (default) except for: clover 5, clover 14, clover 15, clover 17.

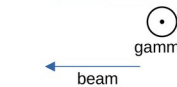
Default placement:



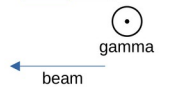
clover 5 ($-\pi/2$):

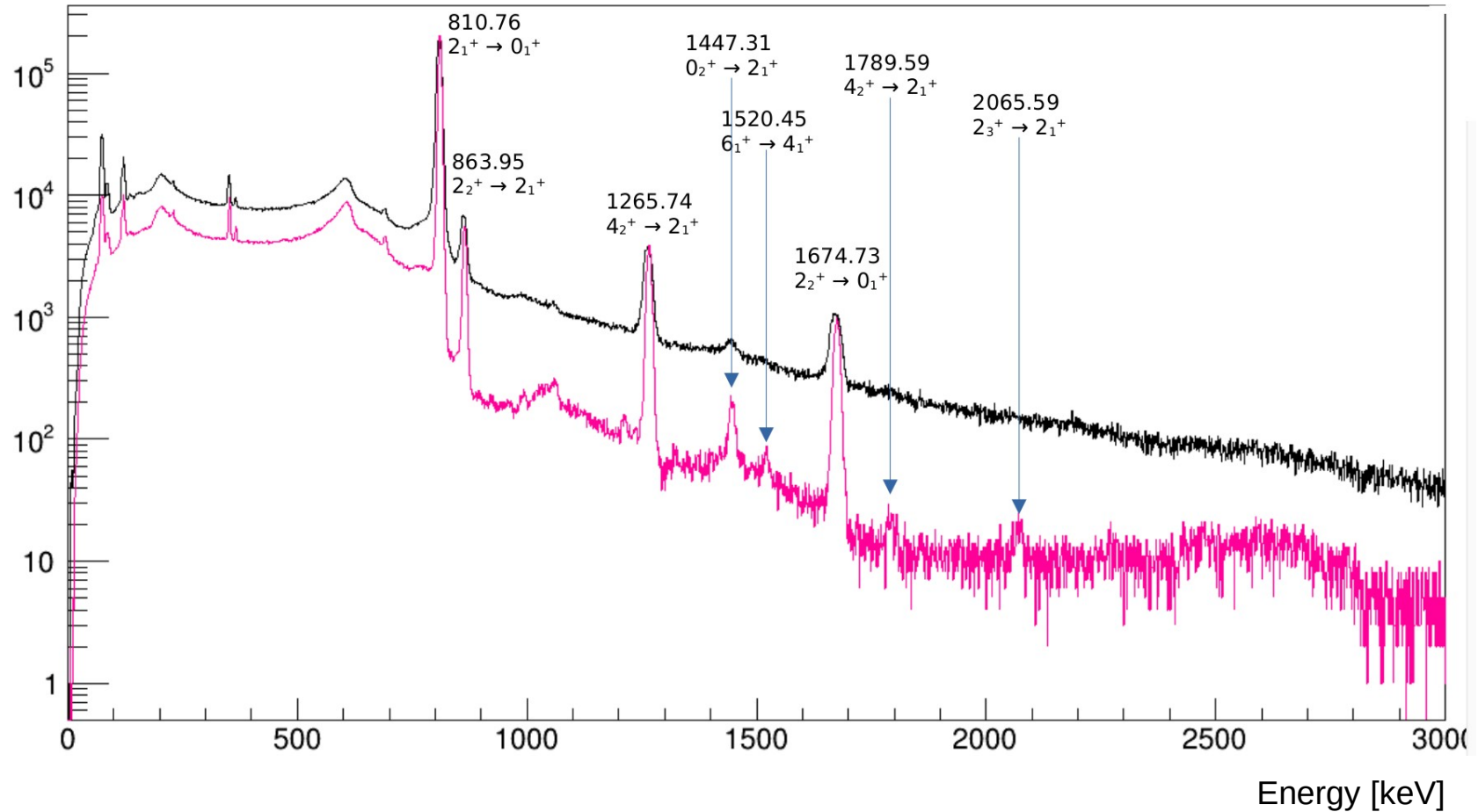


clover 14, 15 ($+\pi/2$):

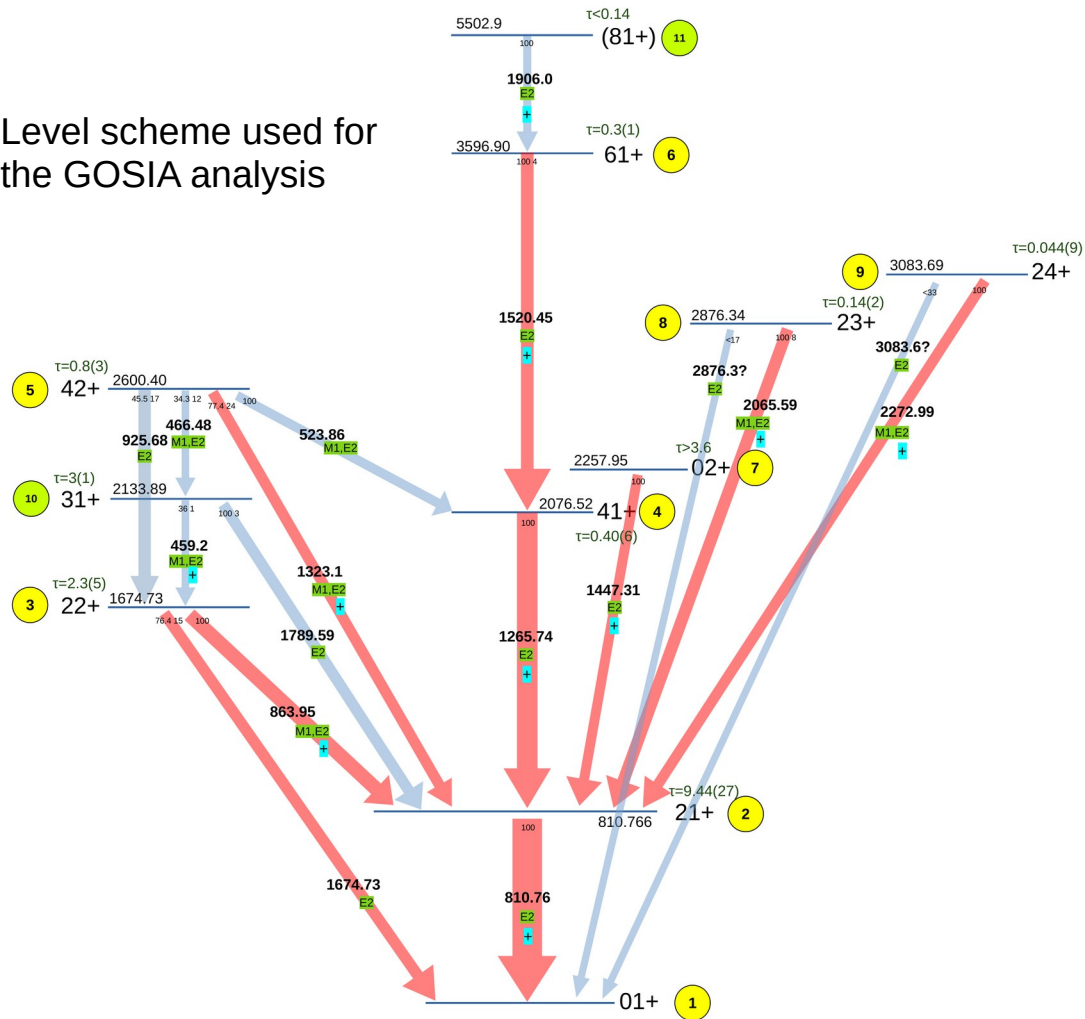


clover 17 ($+\pi$):

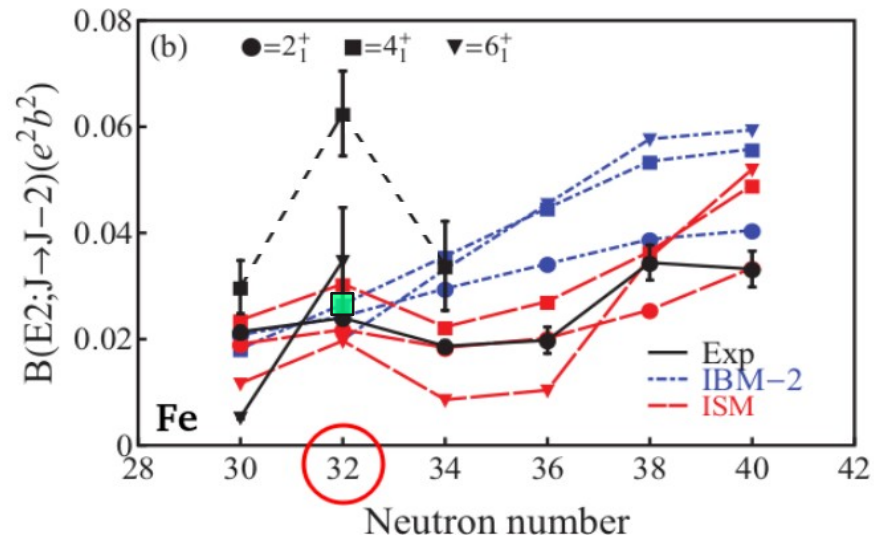


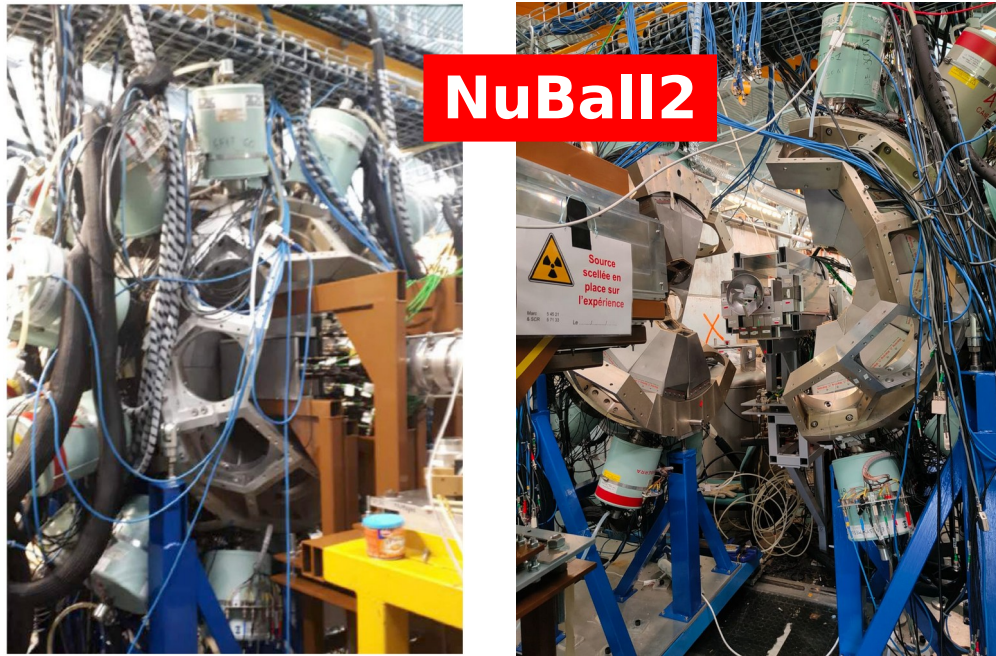


Level scheme used for the GOSIA analysis



Preliminary results from the all-statistics analysis





Thanks for your attention!

J. Ljungvall, A. Stuchbery, S. Bottoni, G. Charles, E. Cantacuzene, K. Desislava, K. Hauschild, C. Hiver, K. Hadyńska-Klęk, M. Iolanda, M. Kaci, M. Komorowska, M. Lebois, S. Lenzi, N. Marchini, M. Matejska-Minda, A. Lopez-Martens, P. Garrett, A. Goasduff, P.J. Napiorkowski, S. Panasenko, M. Rocchini, T.R. Rodríguez, M. Siciliano, K. Stoychev, J. Wilson, K. Wrzosek-Lipska, M. Zielinska