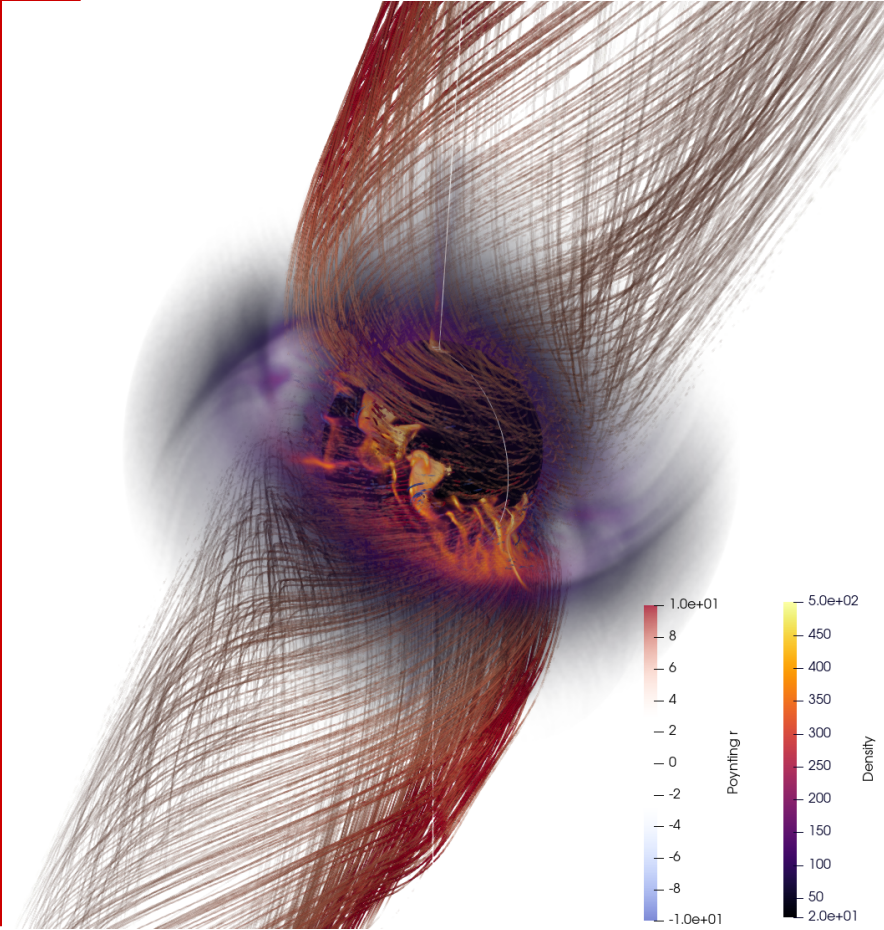


Particle-in-cell simulations of inclined black hole magnetospheres

Enzo Figueiredo

Supervisor: Benoît Cerutti

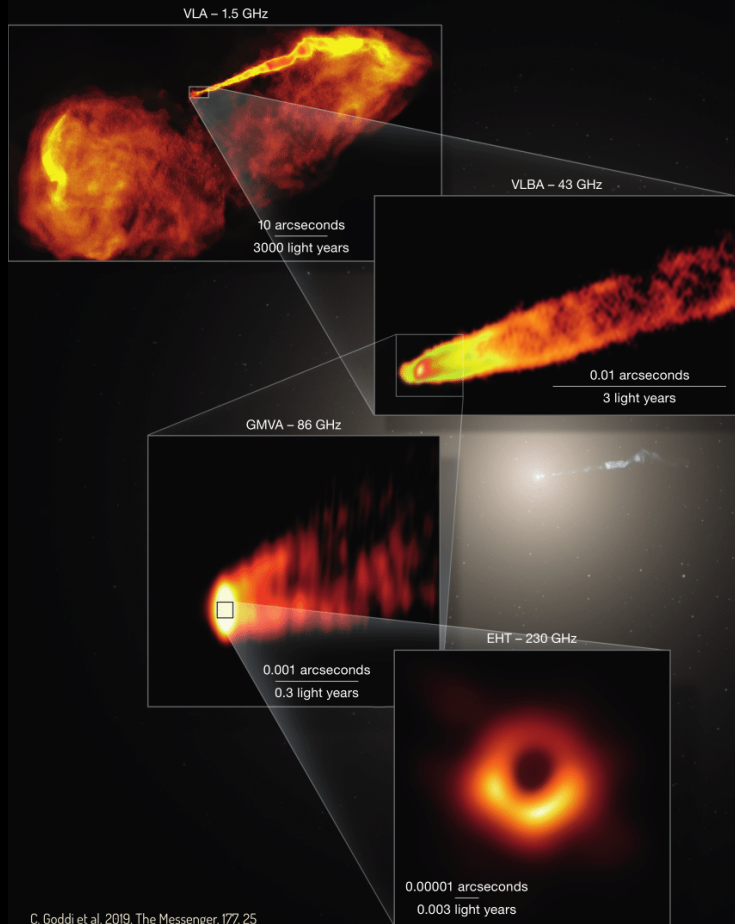


Supermassive Black Holes and Jet Emission

Evidences for a connection between SMBH and galactic jets

+

Non thermal emission

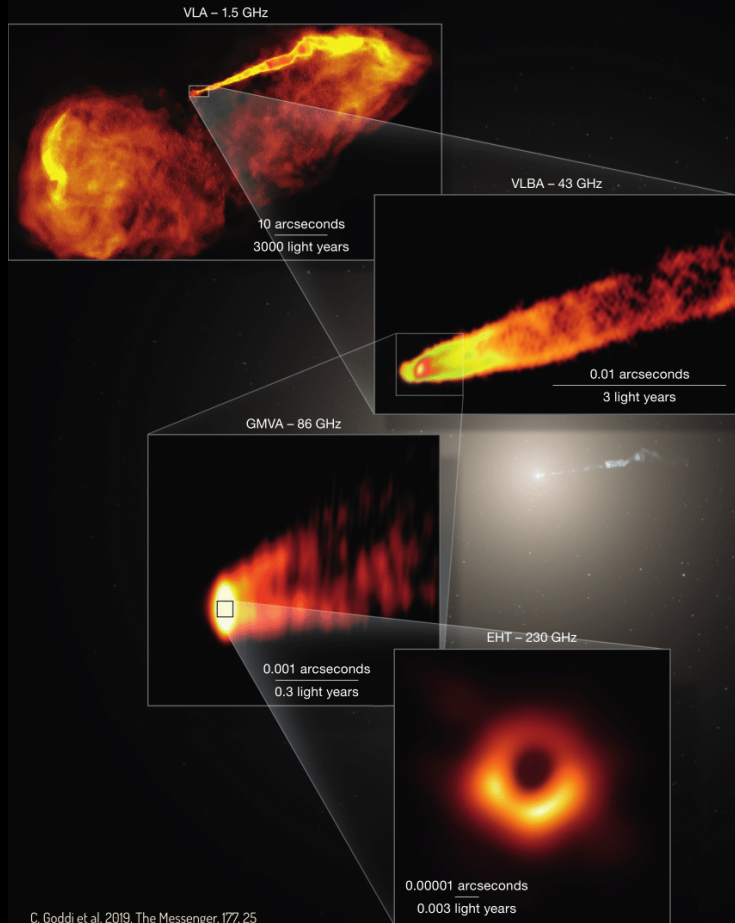


Supermassive Black Holes and Jet Emission

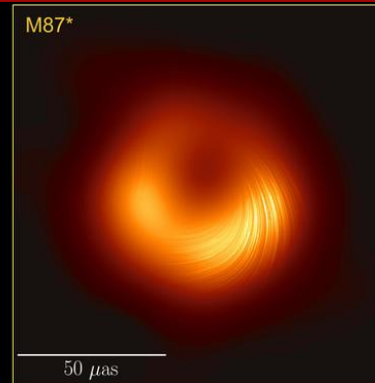
Evidences for a connection between SMBH and galactic jets

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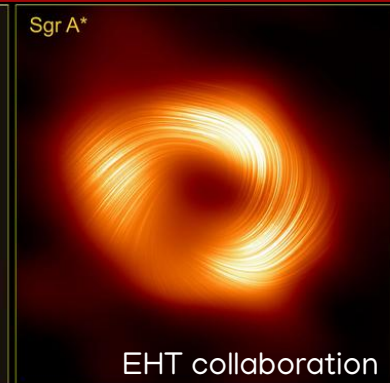
Non thermal emission



A few constraints on BH mass, matter density, magnetic field and jet power (BH spin ?)

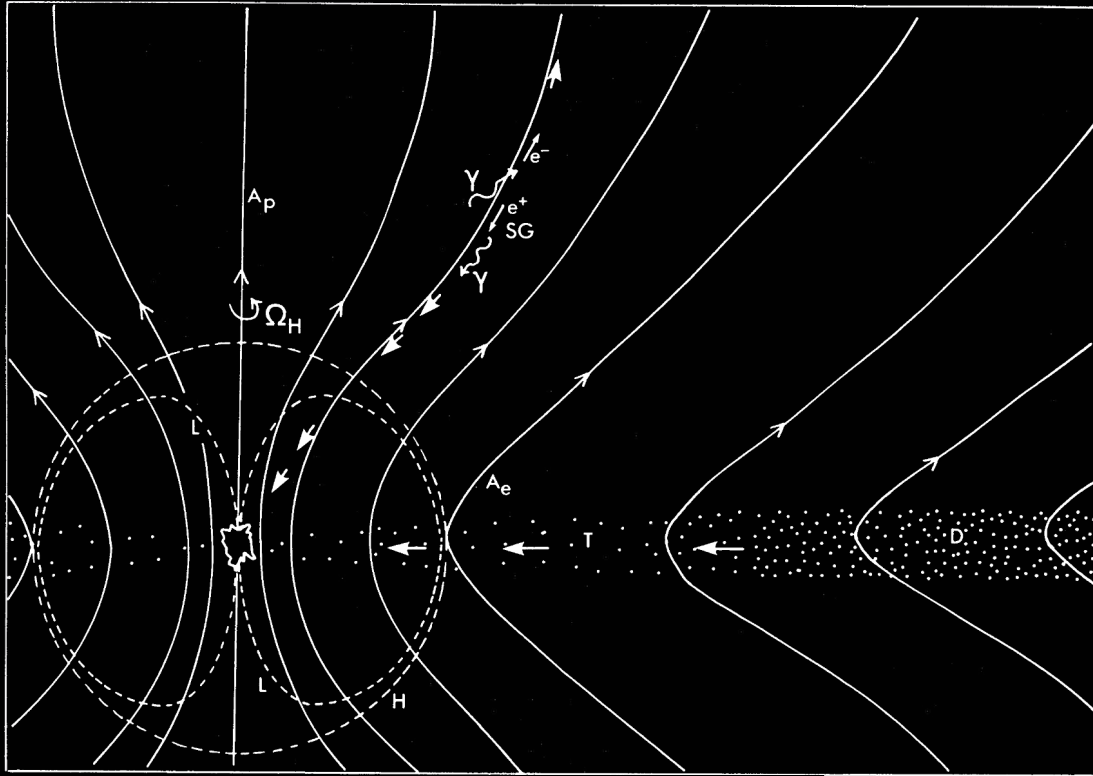


Strong jet



Weak/no jet ?

Theoretical Understanding of the Jet Emission

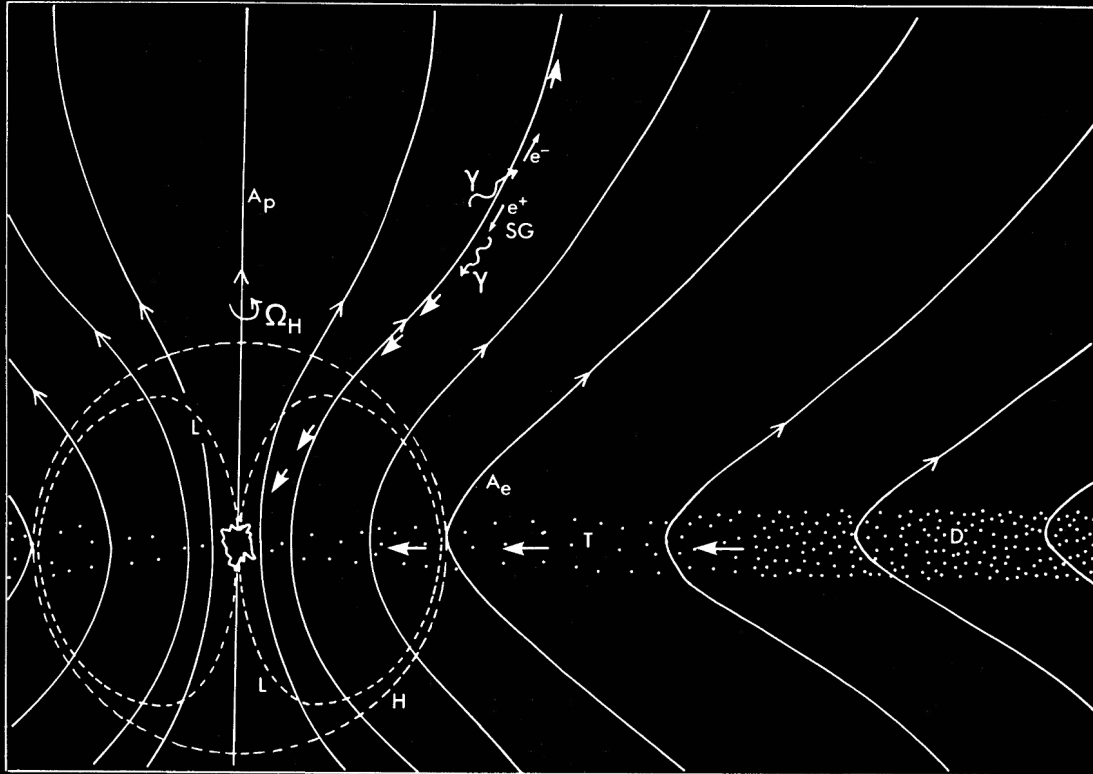


Blandford & Znajek, 1977

Accretion of magnetized plasma, together with pair creation mechanisms, powers a highly magnetized jet

$$L_{BZ} = \frac{1}{96} a^2 B_0^2, \quad a \ll 1$$

Theoretical Understanding of the Jet Emission



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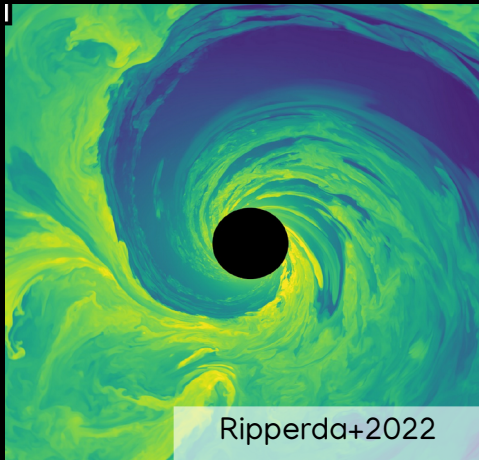
Does it work? With microphysics involved?

What if we lose axisymmetry?

Black Hole Accretion and Ejection Models

Black Hole Accretion and Ejection Models

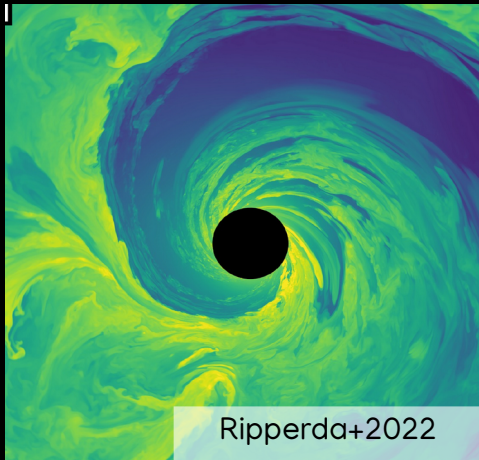
GRMHD



- ✓ Large scales, long term evolution
- ✗ No microphysics, mildly magnetized plasma

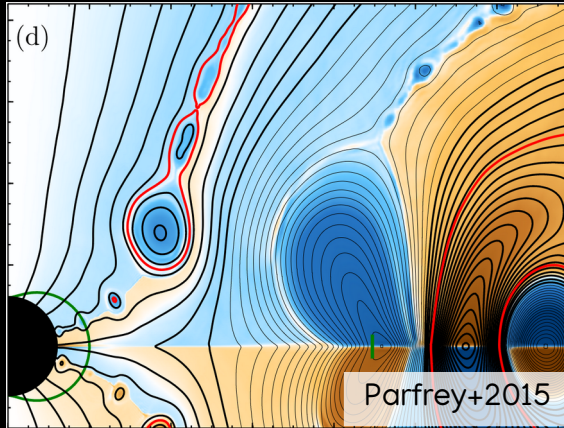
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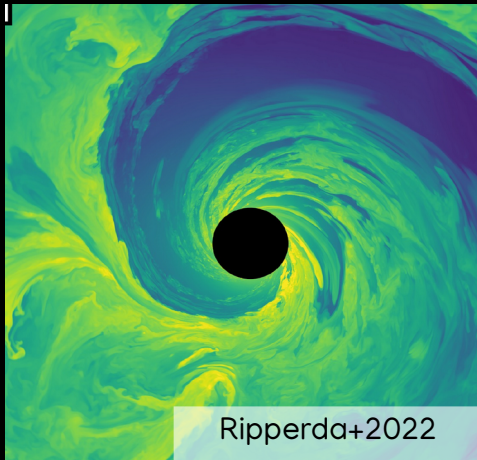
GR Force-Free Electrodynamics



- ✓ Large scales, highly magnetized plasma, cheap
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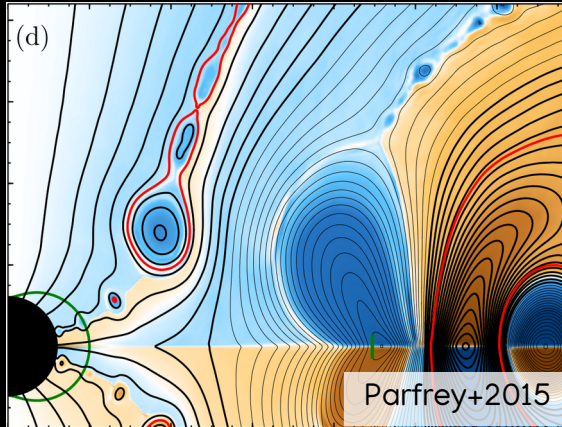
Black Hole Accretion and Ejection Models

GRMHD



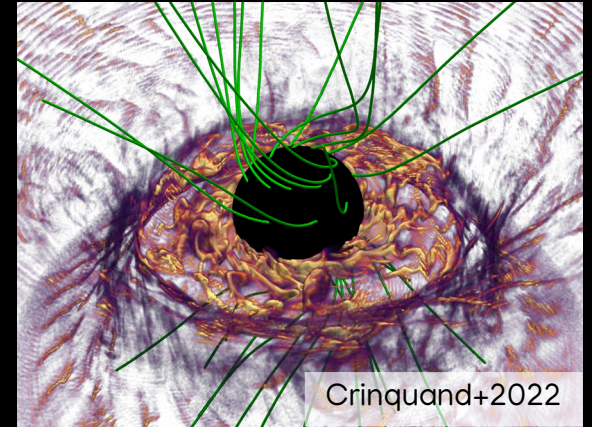
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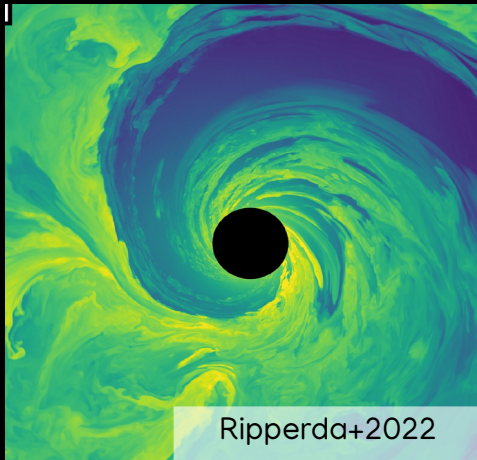
GR Particle-in-cell (PIC)



- ✓ Accurate modeling of plasma, particle acceleration
- ✗ Expensive, short scales

Black Hole Accretion and Ejection Models

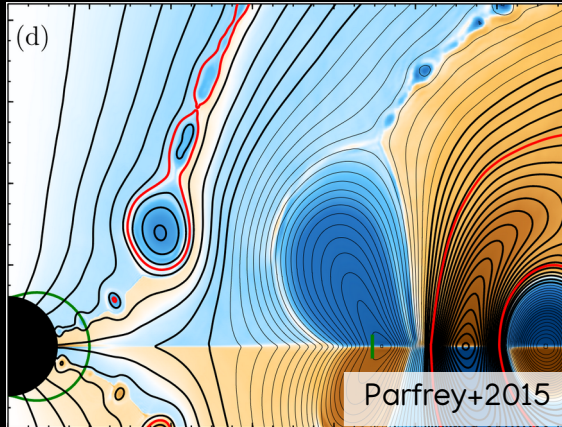
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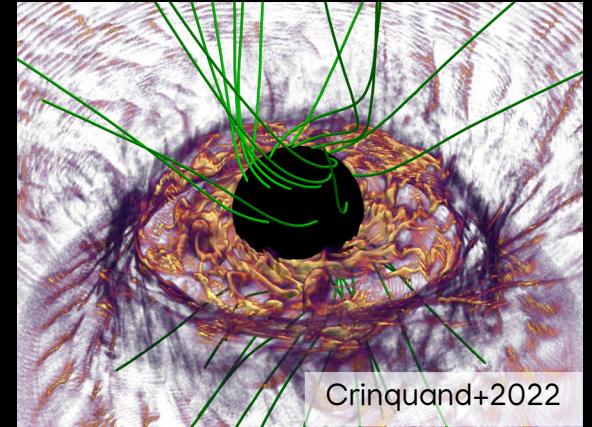
→ Disk accretion

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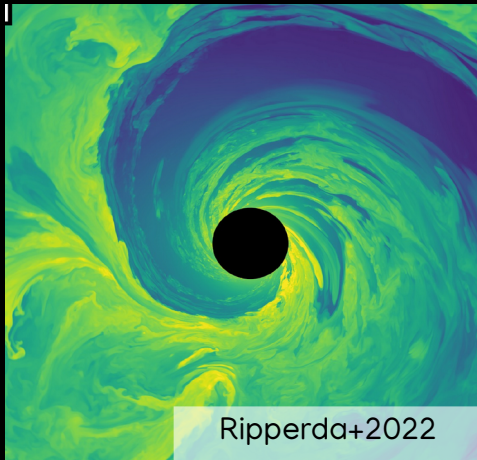
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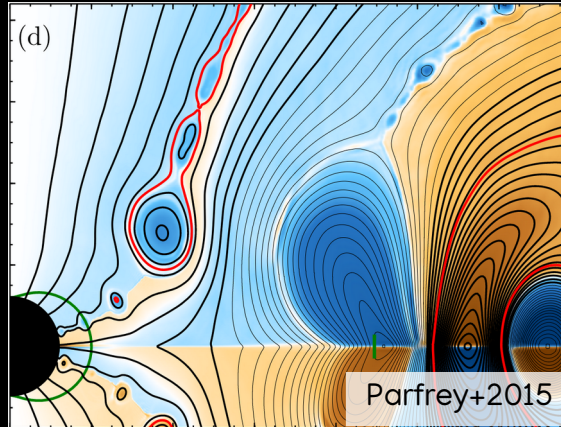
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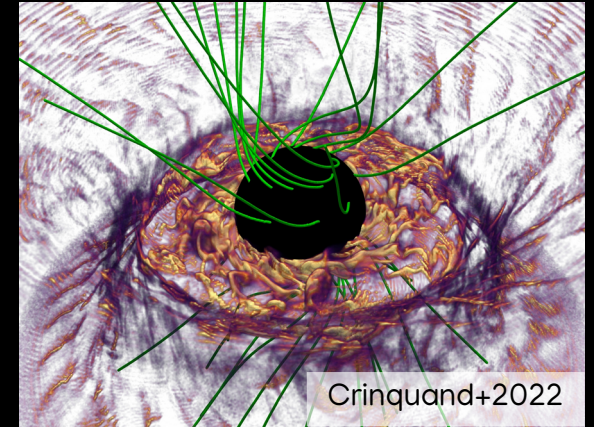
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→ Magnetospheric physics

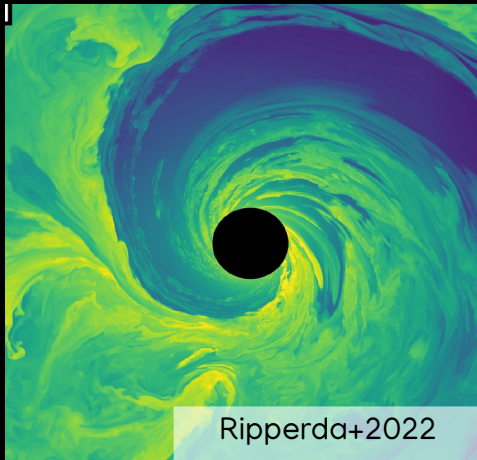
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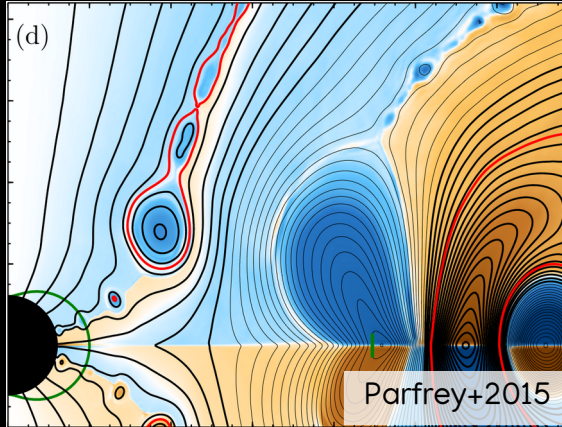
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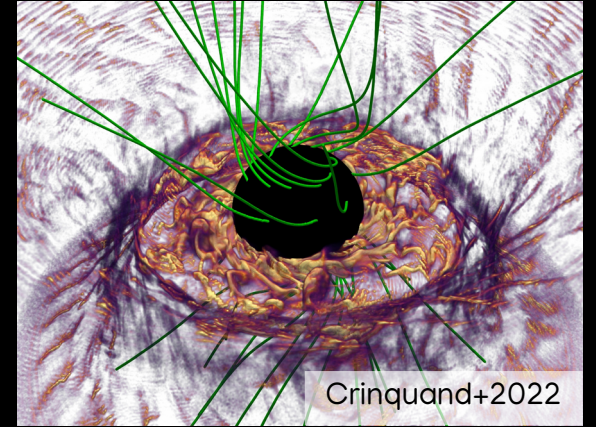
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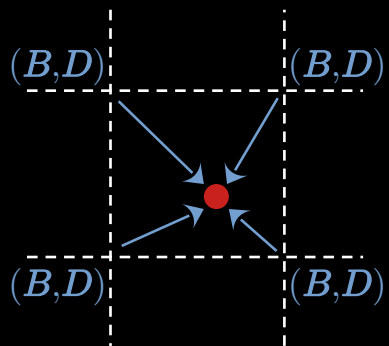


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GRZeltron: a GRPIC code (Parfrey+2019)

3+1 formalism (Komissarov, 2004)

Kerr metric, KS spherical coordinates



Field Interpolation

Particle Push

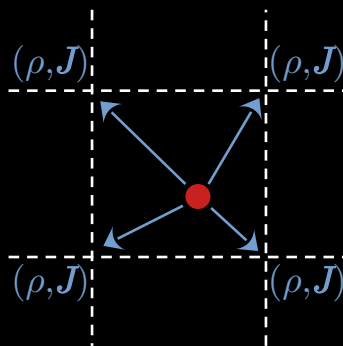
$$\dot{x}^i = \frac{\alpha}{\Gamma} \gamma^{ij} u_j - \beta^i$$

$$\dot{u}^i = \text{Lorentz} + \text{Metric}$$

Fields Evolution

$$\frac{\partial B}{\partial t} = -c \nabla \times E$$

$$\frac{\partial D}{\partial t} = c \nabla \times H - 4\pi \mathbf{J}$$



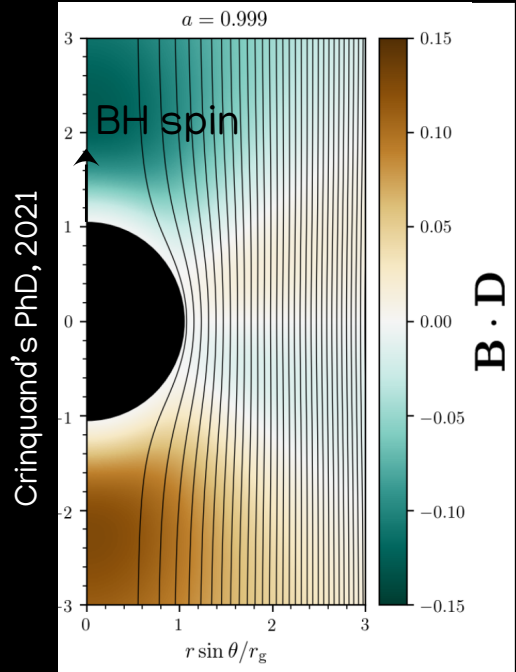
Charge/Current Deposition

- Full treatment of non ideal phenomena
- Can capture microphysics (e.g. QED processes)
- Acceleration of particles self consistently treated

BH Embedded in a Uniform Magnetic Field

In vacuum

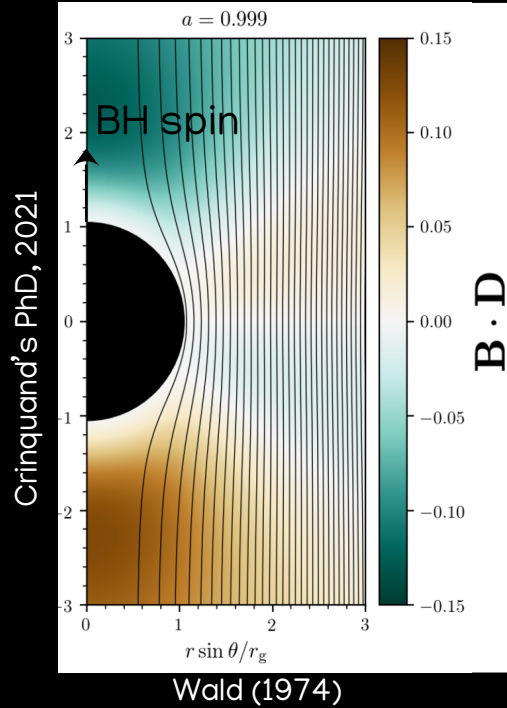
$a = 0.999$



Wald (1974)

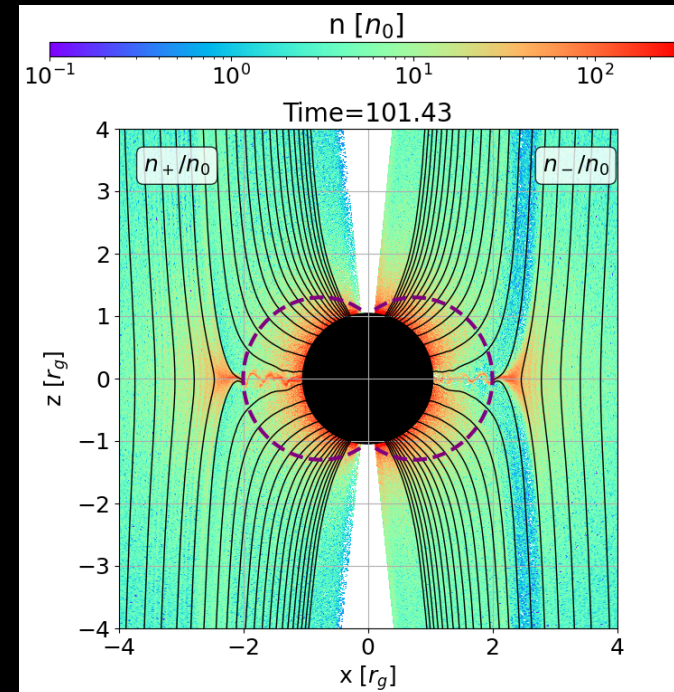
BH Embedded in a Uniform Magnetic Field

In vacuum



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With plasma injection

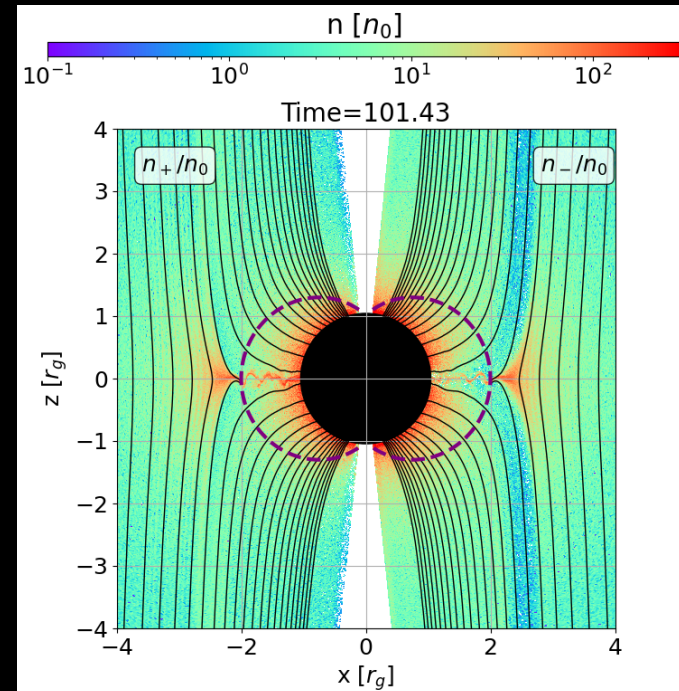
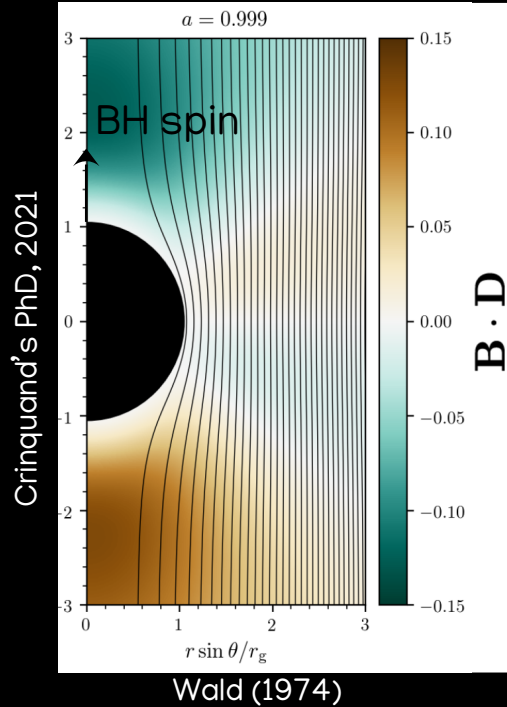


BH Embedded in a Uniform Magnetic Field

In vacuum

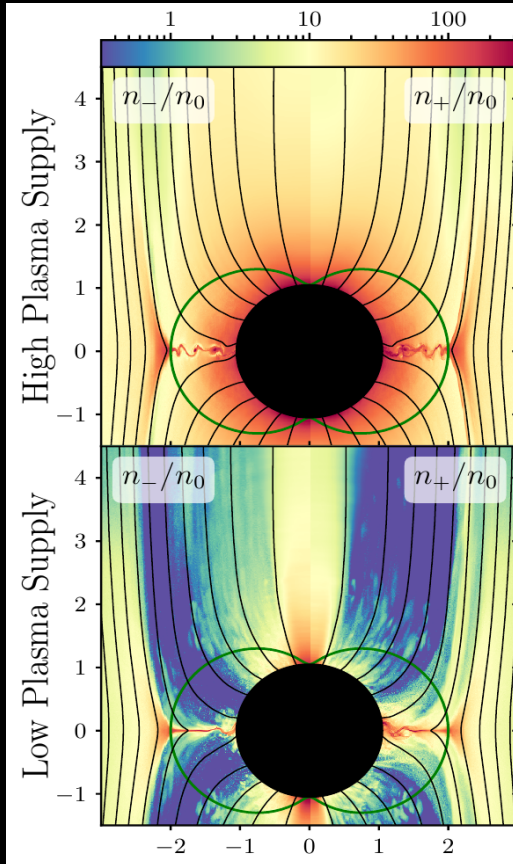
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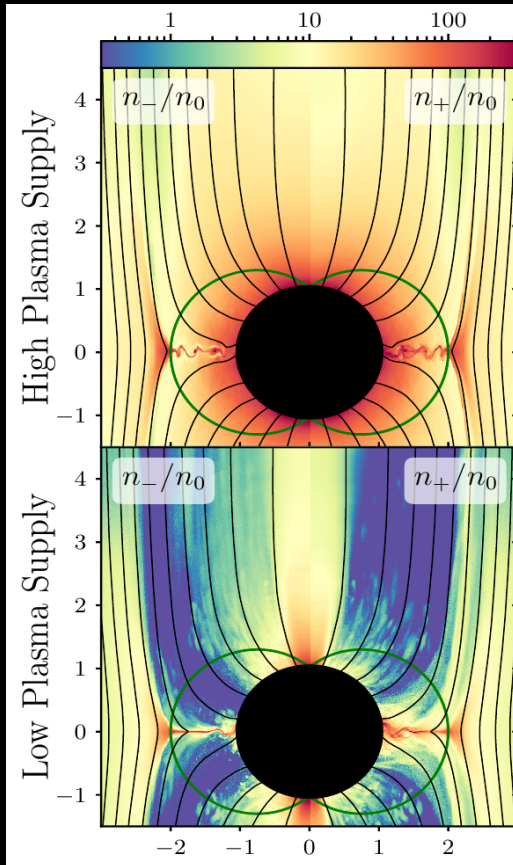
What happens if the magnetic field is inclined with respect to the BH spin ?

Magnetospheric Regime of Interest



Parfrey+2019

Magnetospheric Regime of Interest



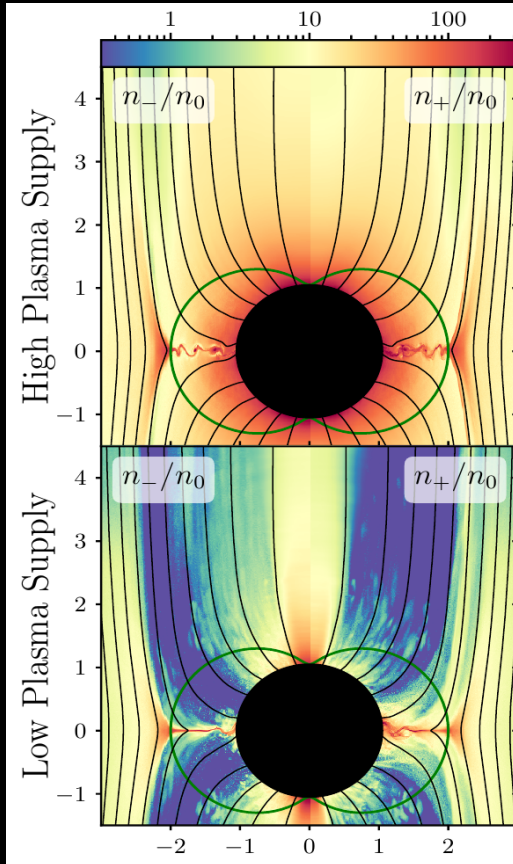
Parfrey+2019

→ Force-free like

$$\sigma = \frac{B^2}{4\pi n m_e c^2} \gg 1$$

$$\kappa = \frac{n}{n_{GJ}} \gg 1 \quad n_{GJ} = \frac{\Omega \cdot \mathbf{B}}{2\pi e c}$$

Magnetospheric Regime of Interest



Parfrey+2019

→ Force-free like

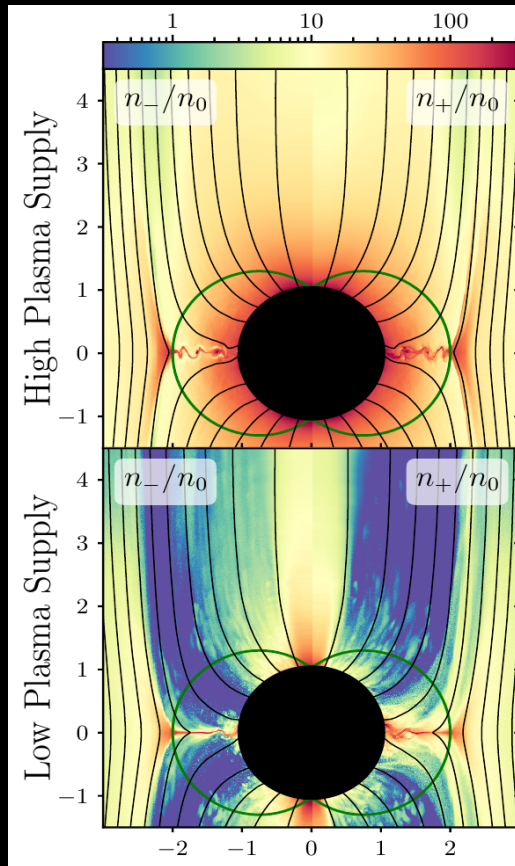
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→ Starved magnetosphere

- Charge separation
- Regions with an unscreened parallel electric field

Magnetospheric Regime of Interest



Parfrey+2019

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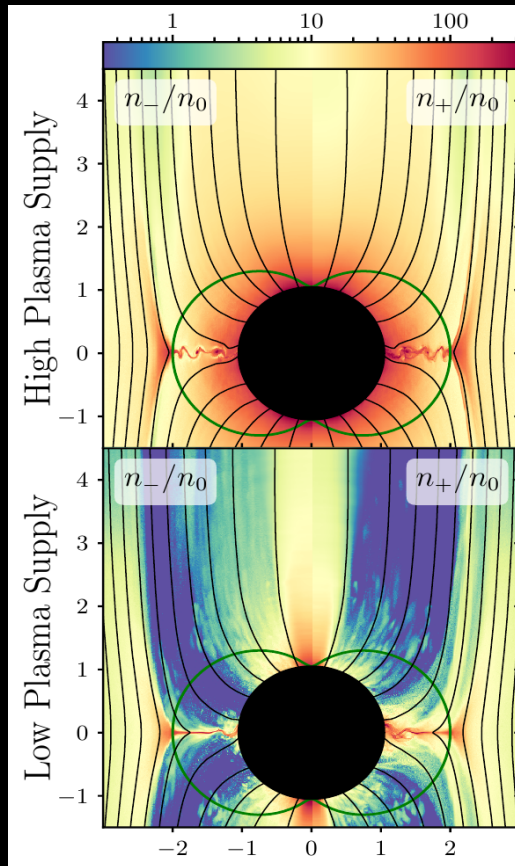
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Ad hoc injection

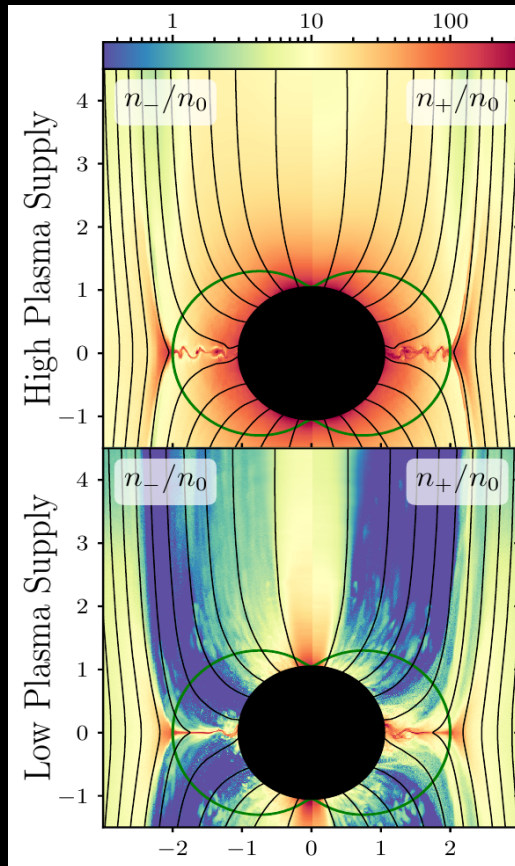
Injection if:

$$\sigma > \sigma_0$$

→ Starved magnetosphere

- Charge separation
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Magnetospheric Regime of Interest



Parfrey+2019

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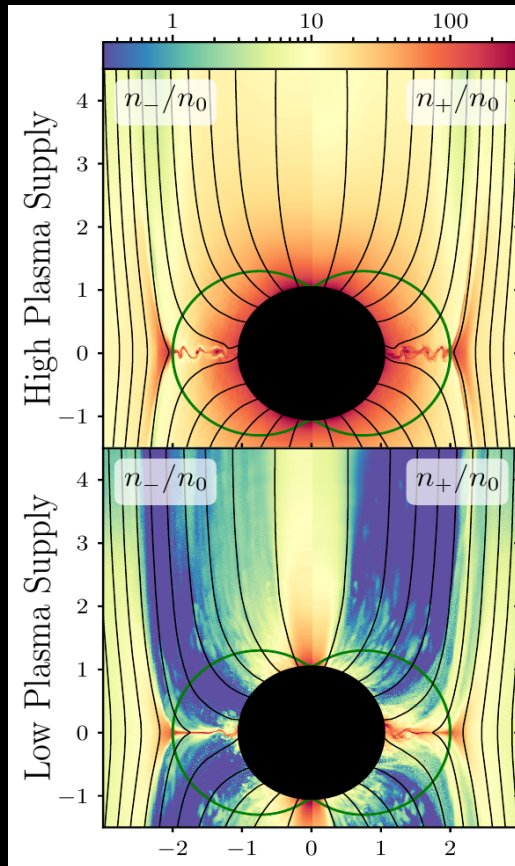
$$\sigma > \sigma_0$$

Scale separation

$$B_0 \propto \frac{r_g}{r_L}$$

Our simulations → 500
For Sg A* → 10^{10}

Magnetospheric Regime of Interest



Parfrey+2019

→ Force-free like

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→ Starved magnetosphere

- Charge separation
- Regions with an unscreened parallel electric field

→ future work with more accurate pair production

Ad hoc injection

Injection if:

$$\sigma > \sigma_0$$

Scale separation

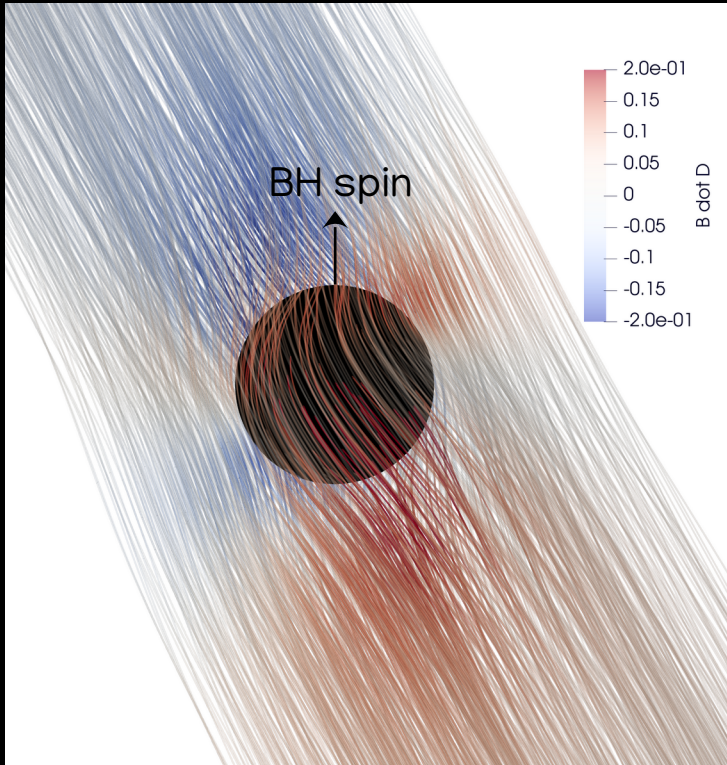
$$B_0 \propto \frac{r_g}{r_L}$$

Our simulations → 500
For Sg A* → 10¹⁰

Inclined Black Hole Magnetosphere

In vacuum

$$a = 0.99, \chi = 30^\circ$$



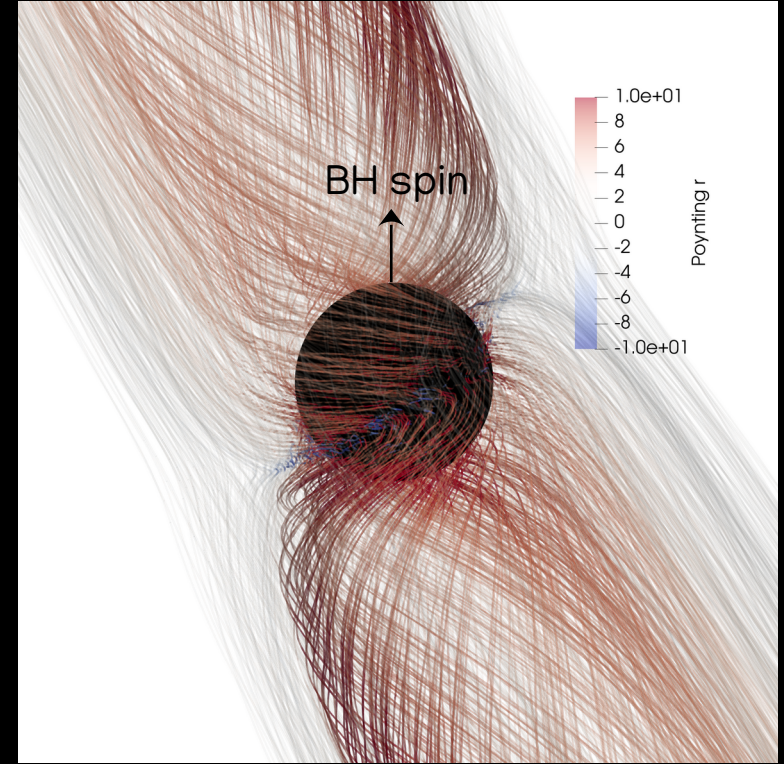
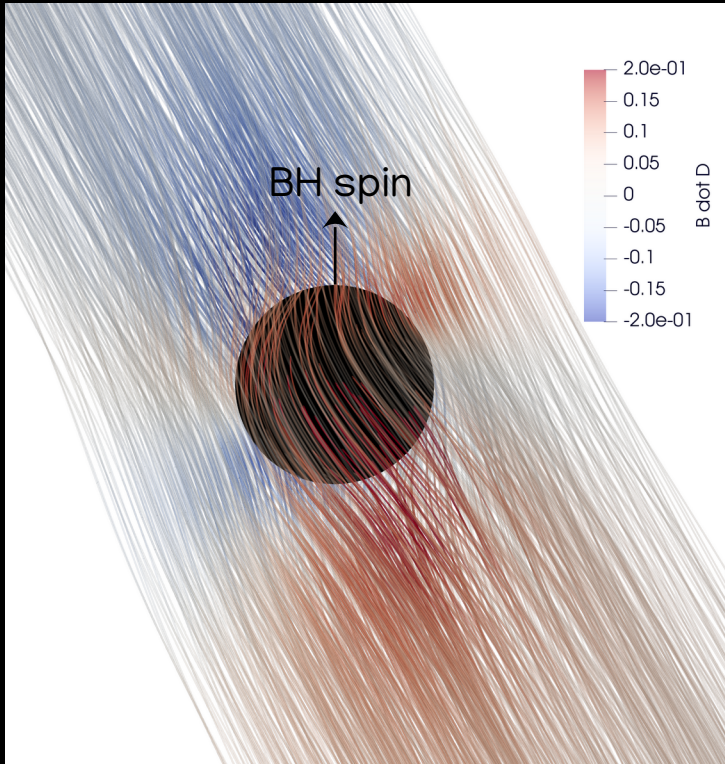
Bicak & Janis (1985)

Inclined Black Hole Magnetosphere

In vacuum

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With plasma injection



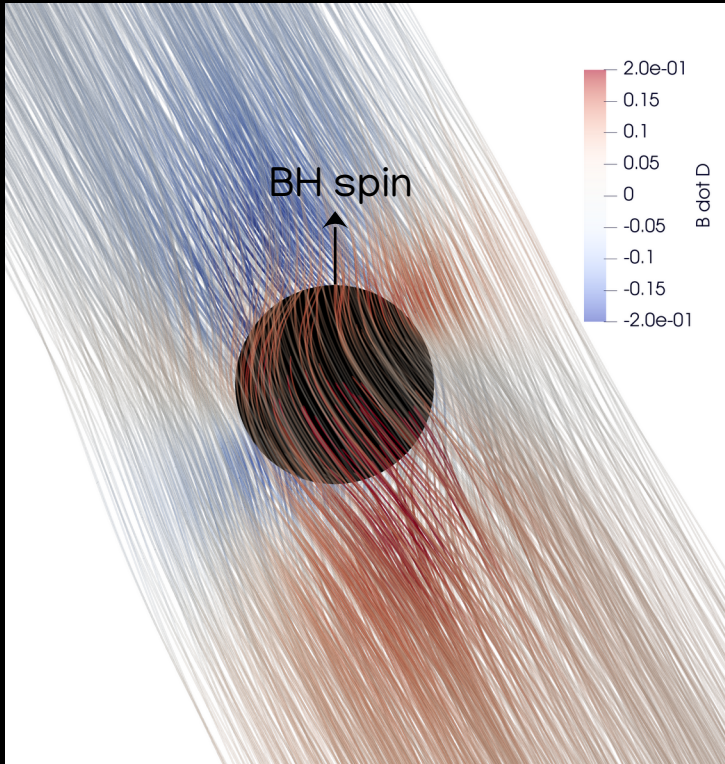
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Inclined Black Hole Magnetosphere

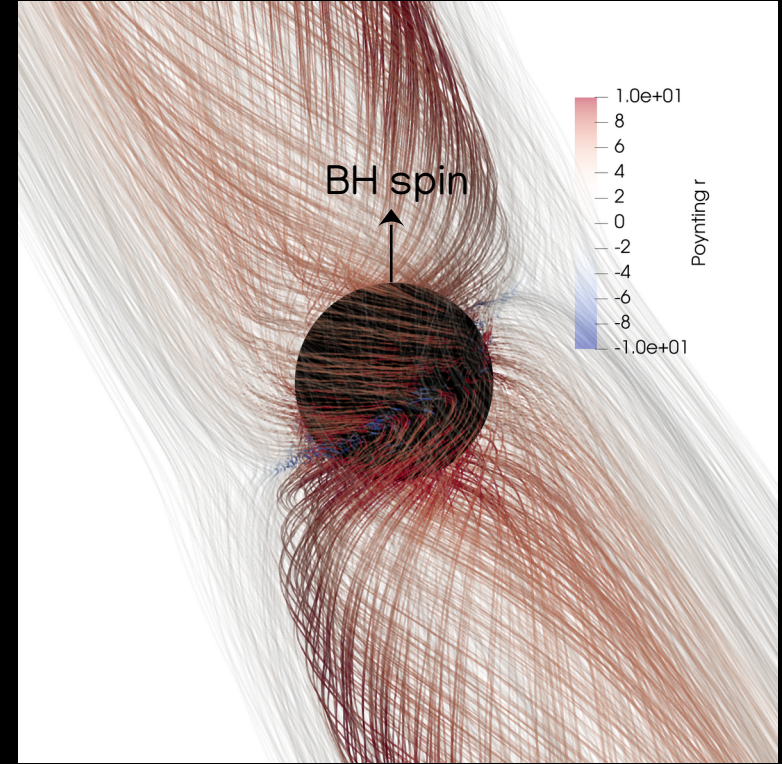
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With plasma injection



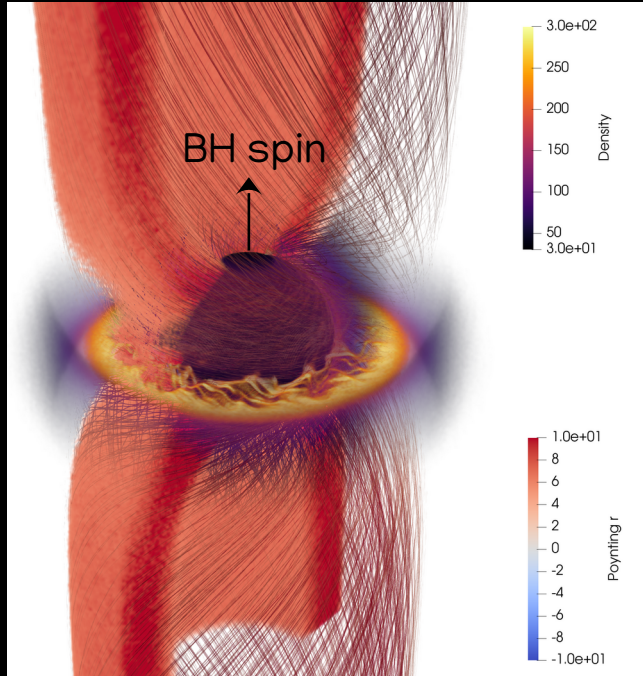
Bicak & Janis (1985)



> 15 millions CPU hours for 4 runs

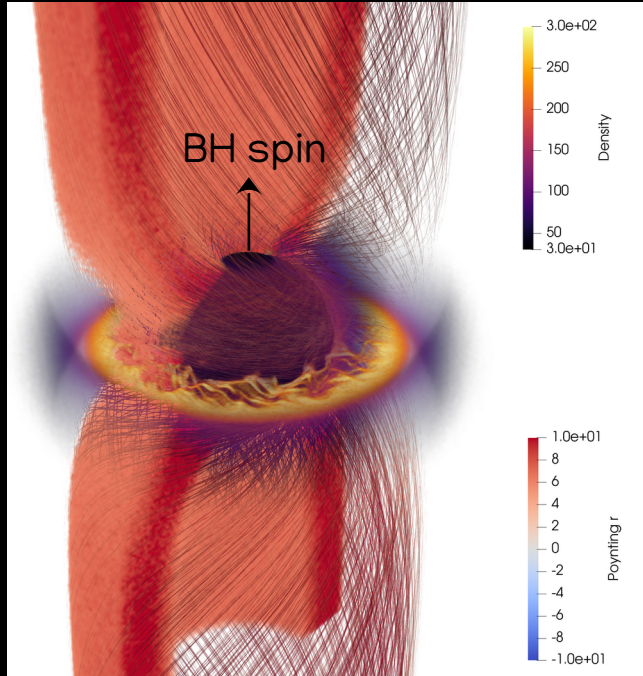
The Jet Structure Is Affected by the Inclination

$$\chi = 0^\circ$$

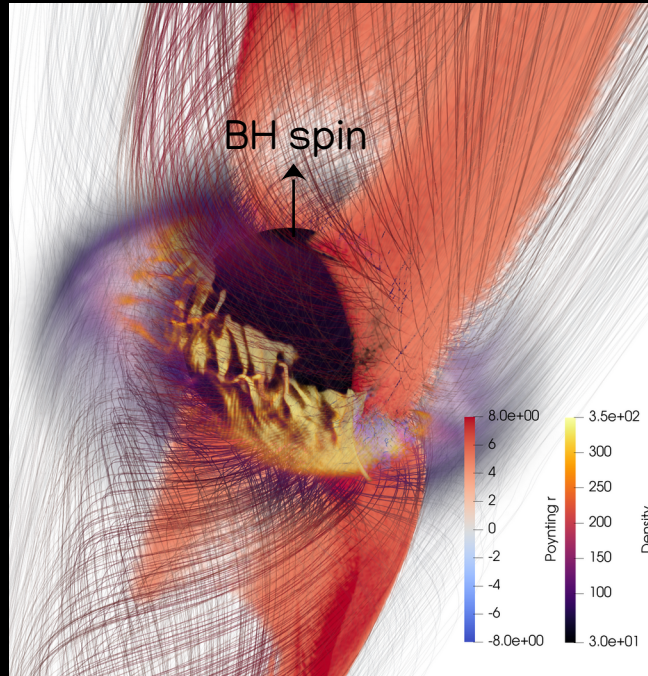


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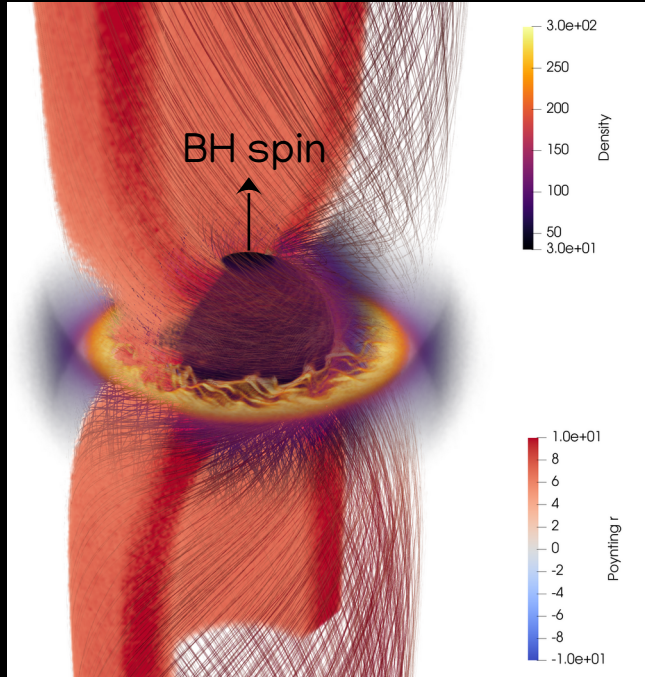


$\chi = 30^\circ$

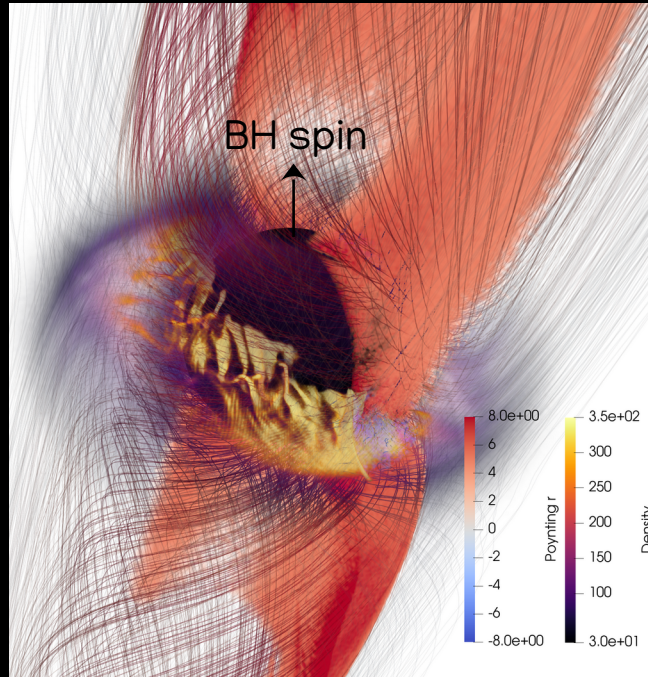


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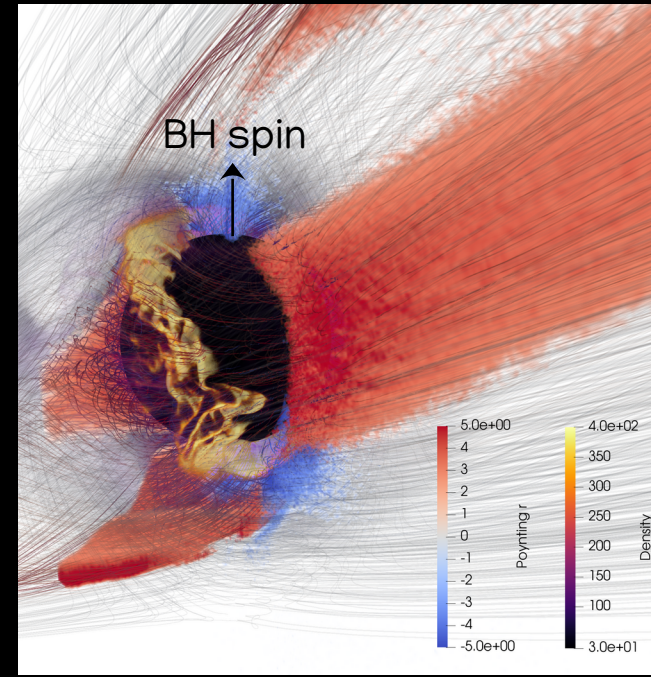
$\chi = 0^\circ$



$\chi = 30^\circ$

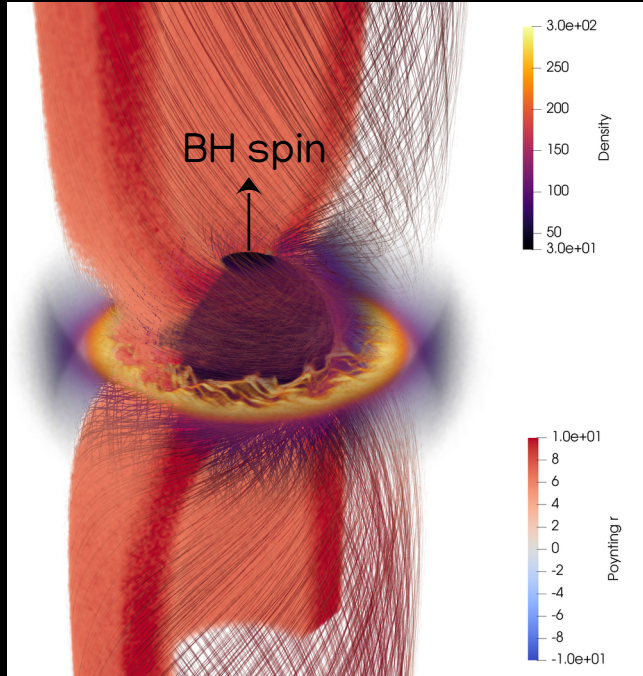


$\chi = 60^\circ$

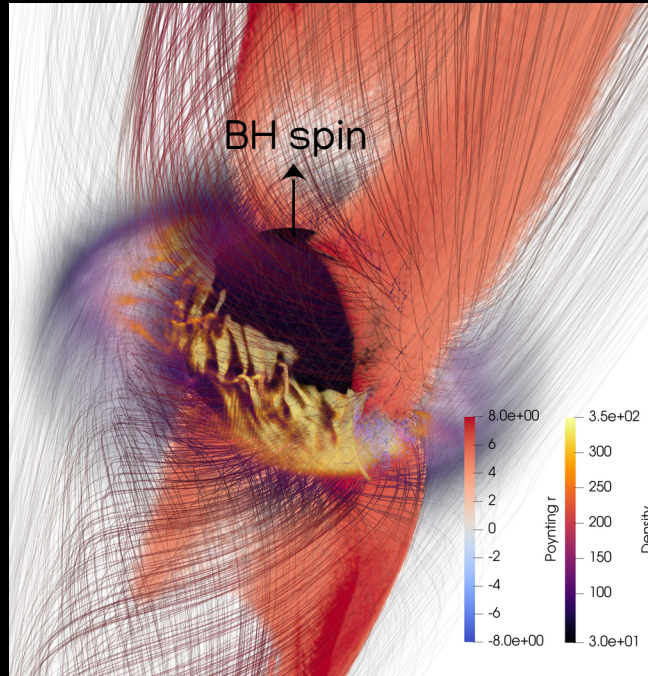


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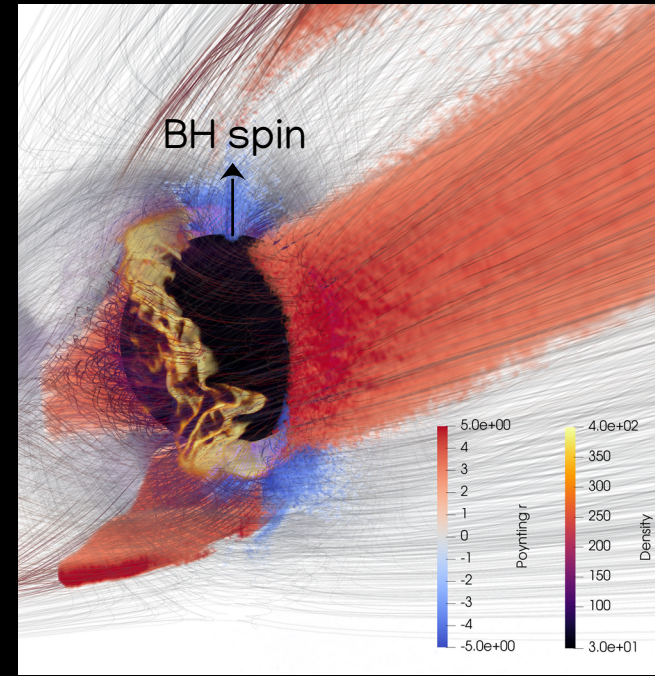
$\chi = 0^\circ$



$\chi = 30^\circ$



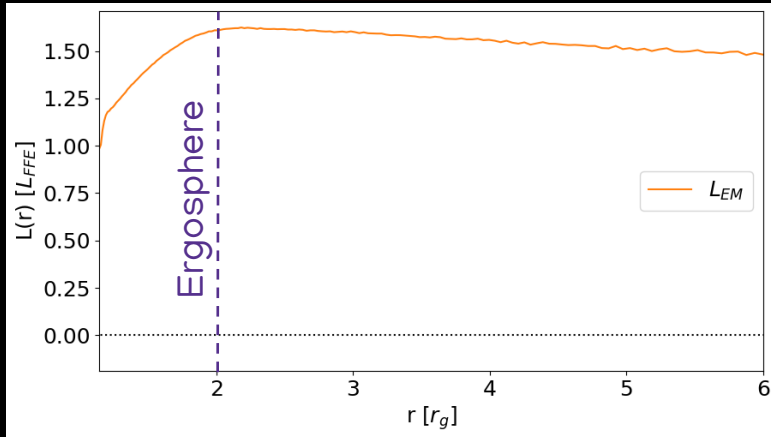
$\chi = 60^\circ$



- Development of inward Poynting flux close to the separatrix
- Outward EM flux rather comes from equatorial region of space-time

Electromagnetic Energy Flux

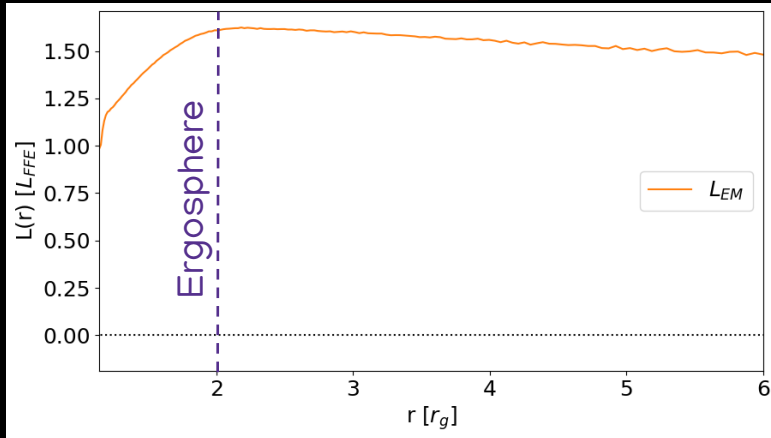
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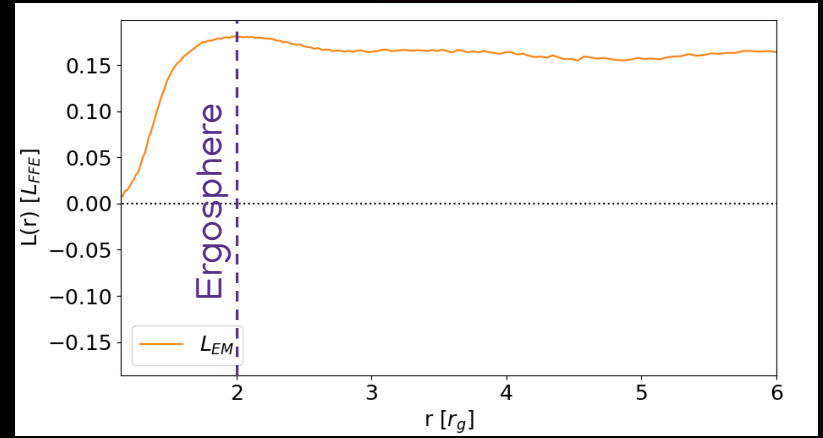
$$L_{EM} = \iint \Pi^r \sqrt{\gamma} d\Omega$$

Electromagnetic Energy Flux

$\chi = 0^\circ$



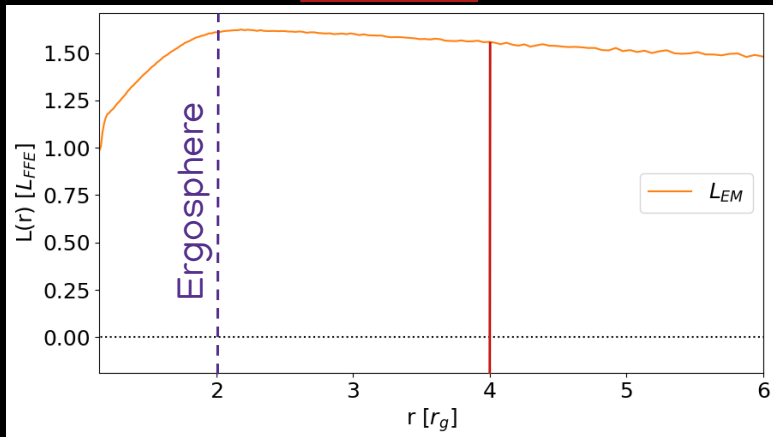
$\chi = 85^\circ$



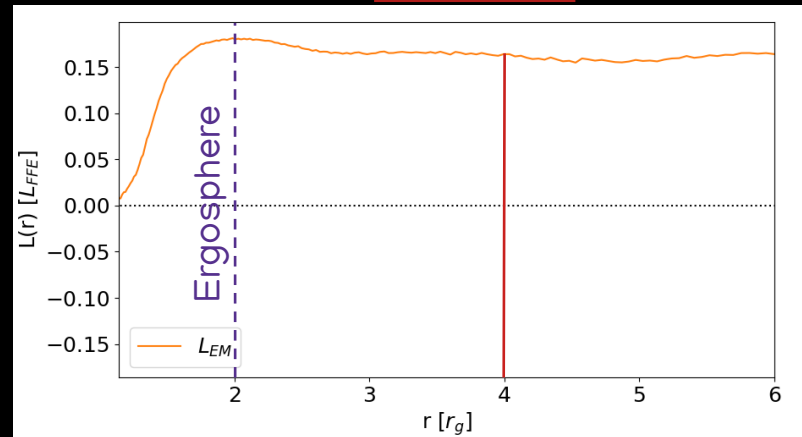
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Electromagnetic Energy Flux

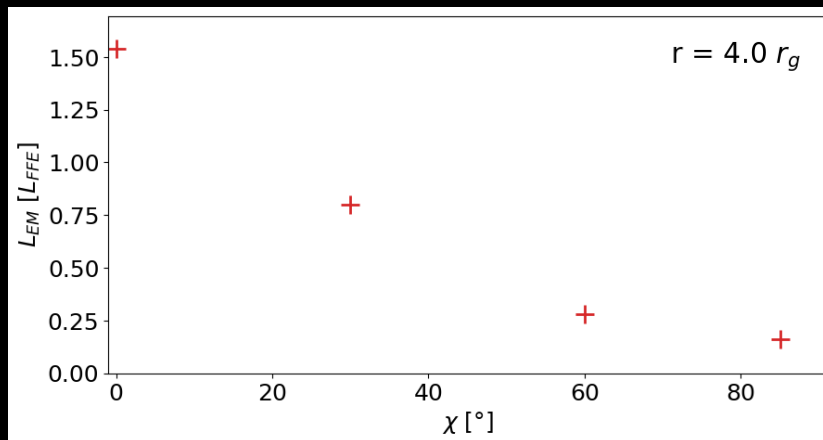
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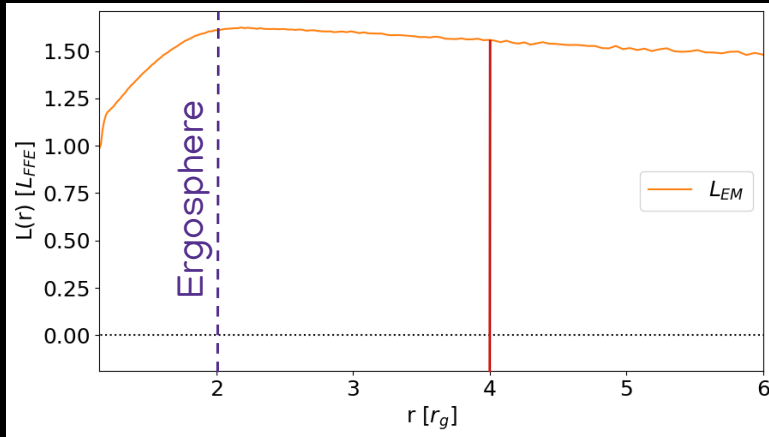


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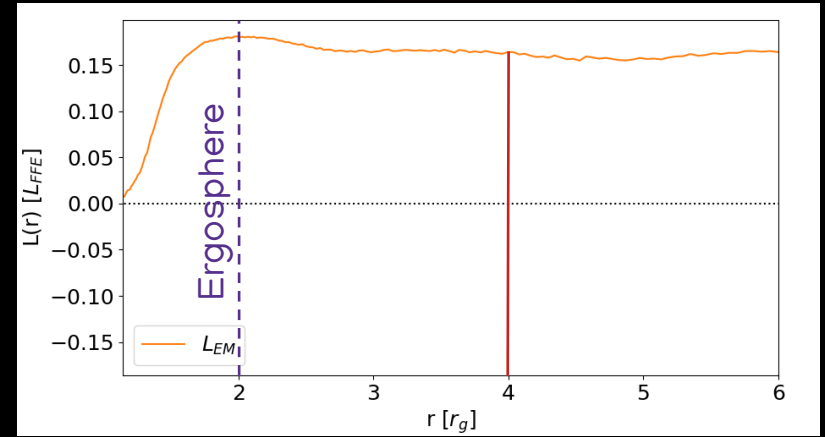


Electromagnetic Energy Flux

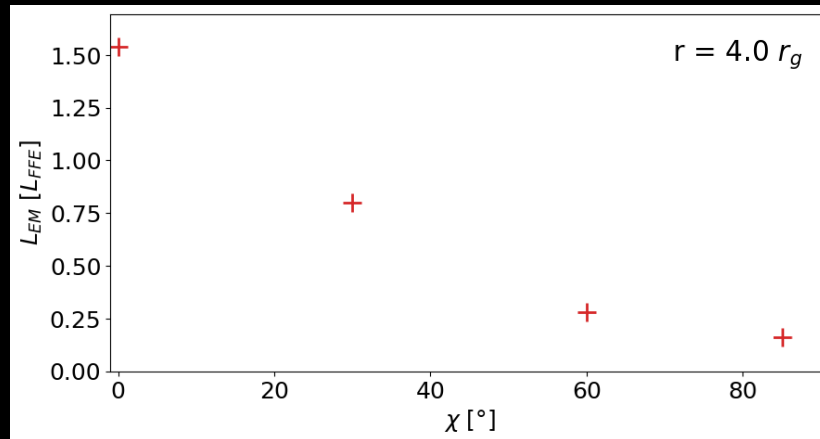
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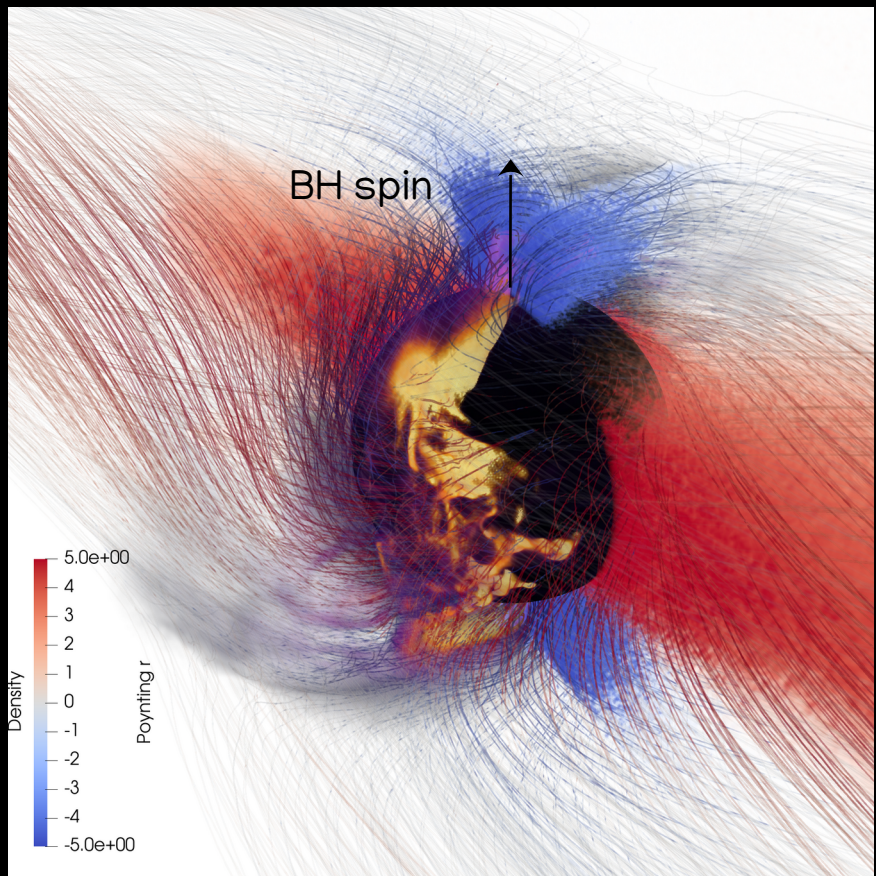


$$L_{EM} = \iint \Pi^r \sqrt{\gamma} d\Omega$$

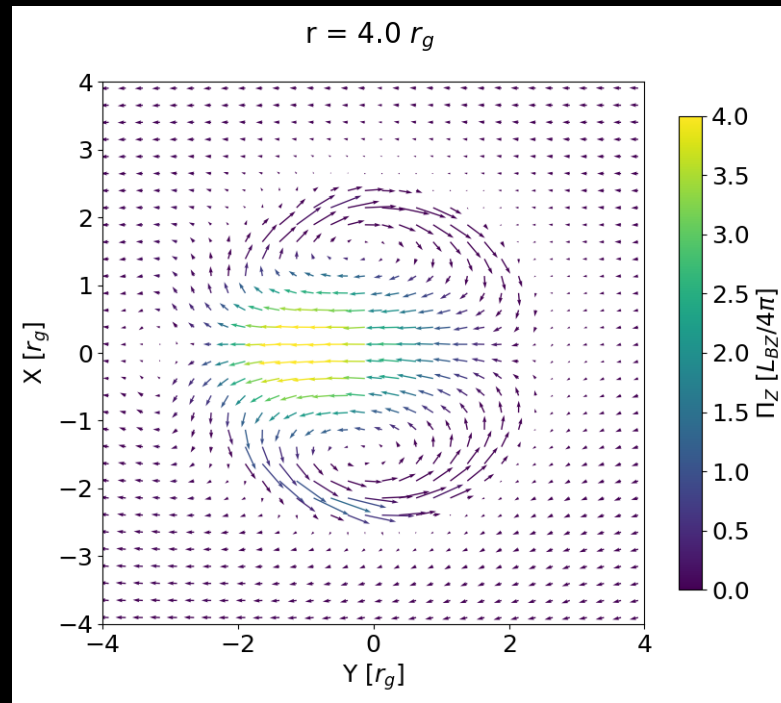
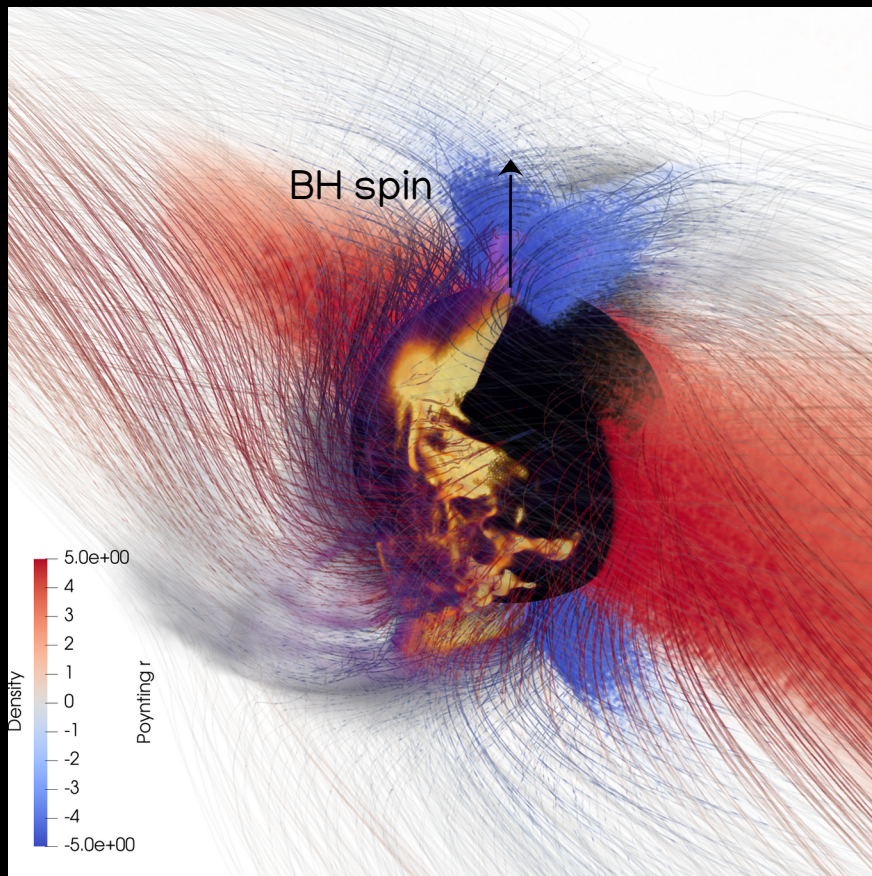


→ Dramatic weakening of the jet power for very inclined magnetospheres

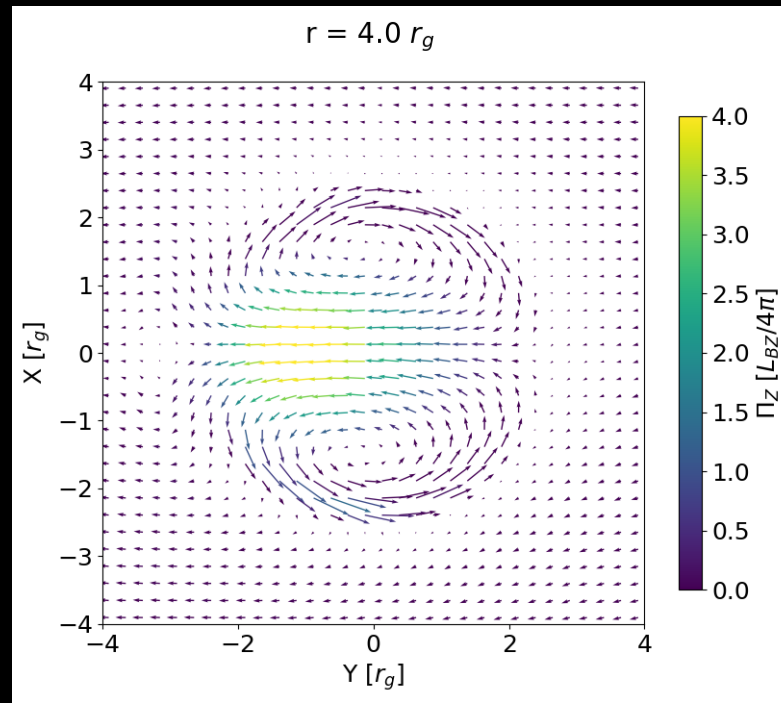
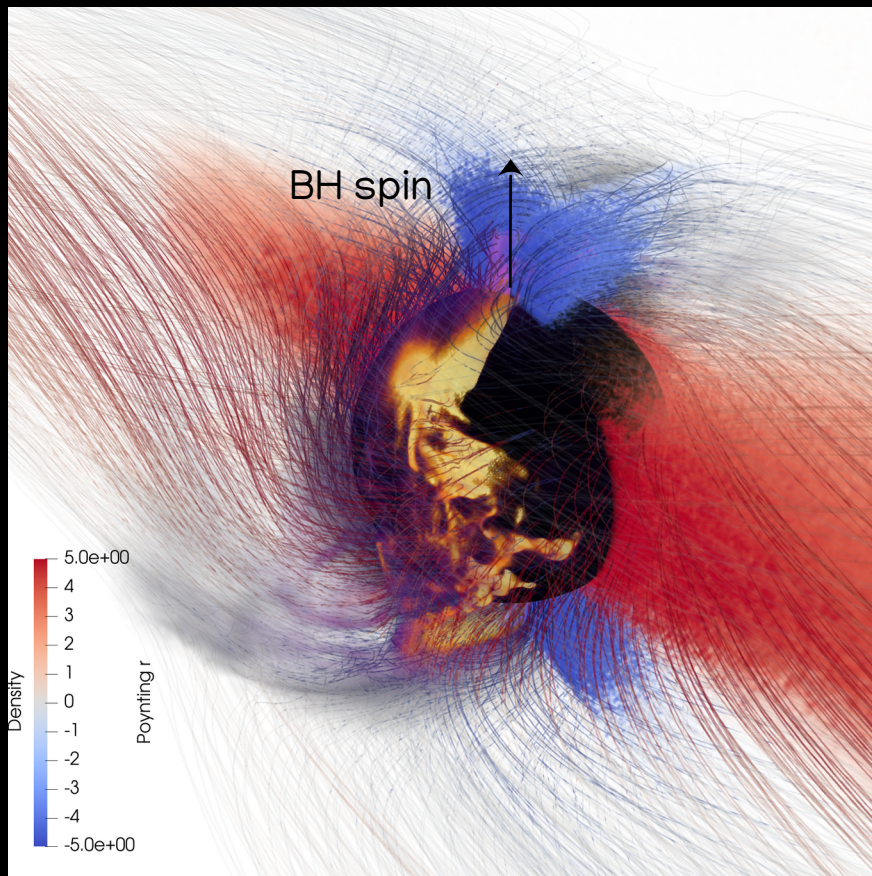
The Case of the Orthogonal Magnetosphere ($\chi = 85^\circ$)



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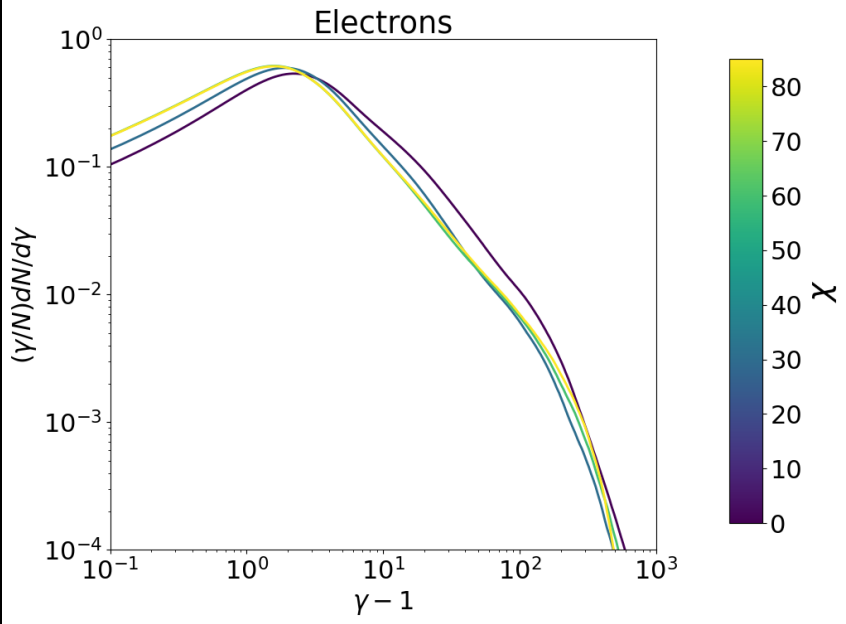


The Case of the Orthogonal Magnetosphere ($\chi = 85^\circ$)

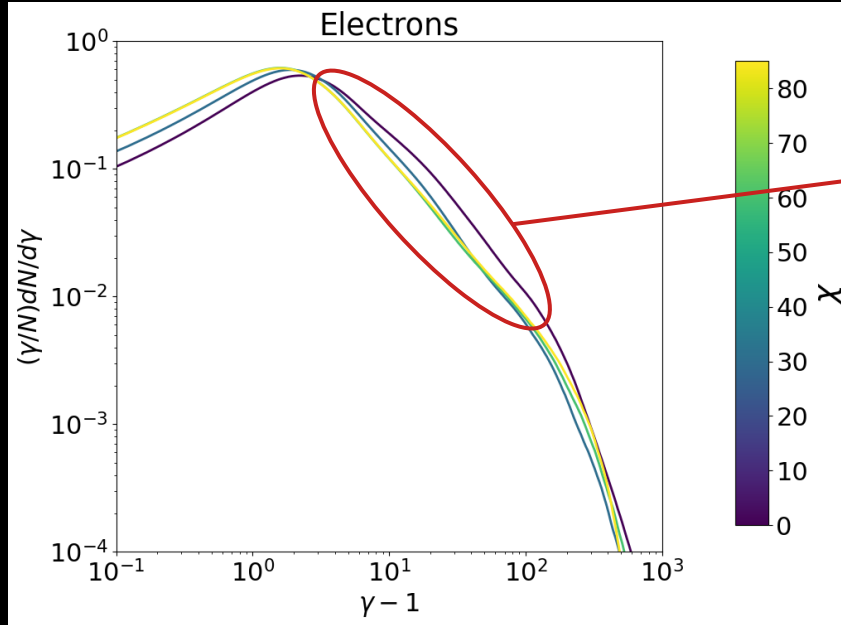


→ Inward Poynting flux compensates EM energy extraction on the event horizon
→ Very interesting jet structure

Particle Energization

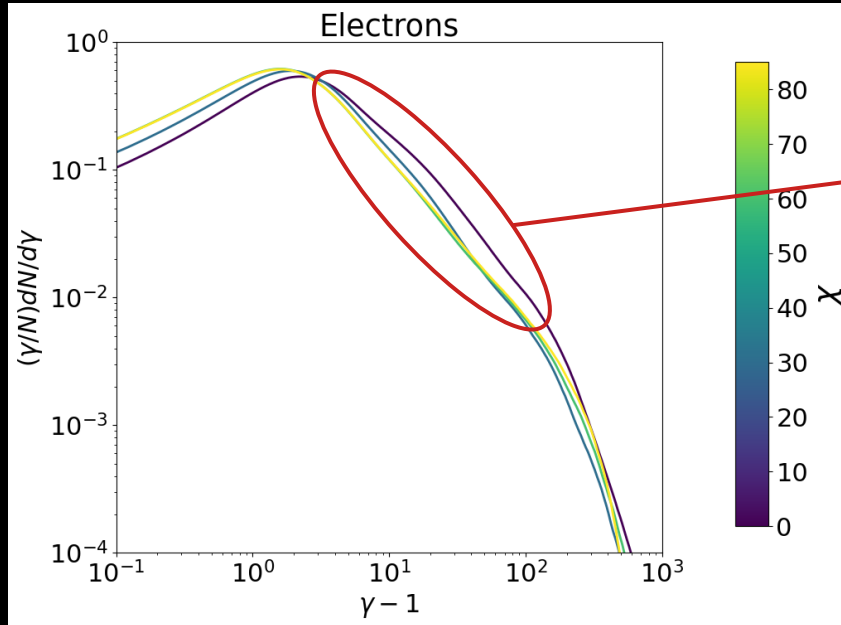


Particle Energization



Magnetic reconnection in the current layer

Particle Energization



Magnetic reconnection in the current layer

→ More features should appear with a more physical pair injection

Conclusions

- The jet always follows the magnetic direction
- Inclination has a strong impact on the jet's shape and power
- As the current layer always develop, magnetic reconnection provides efficient particle acceleration for all inclinations

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- The jet always follows the magnetic direction
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- More analysis required to understand the physics involved here
 - Crucial step into understanding of a wide range of phenomena: wind accretion (Sg A*, ...), NS-BH binaries, ...
 - Future work will involve more realistic pair production
→ starved magnetospheres, lightcurves, polarization, ...