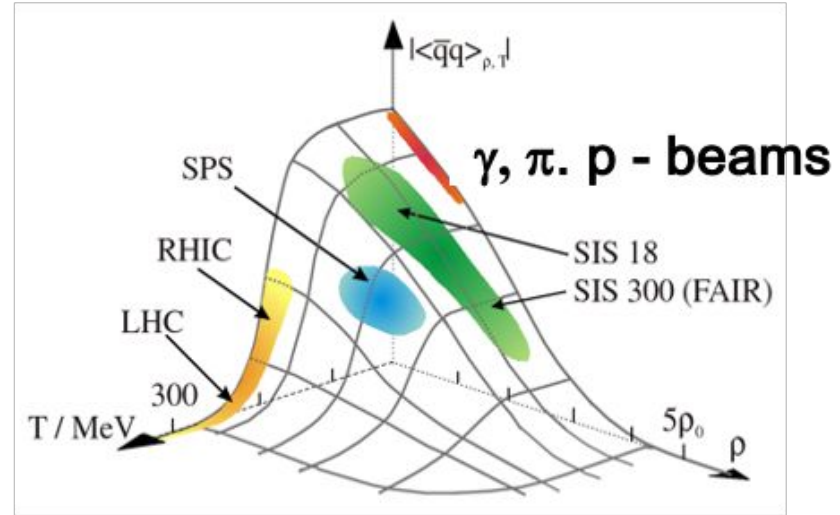
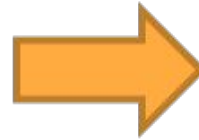
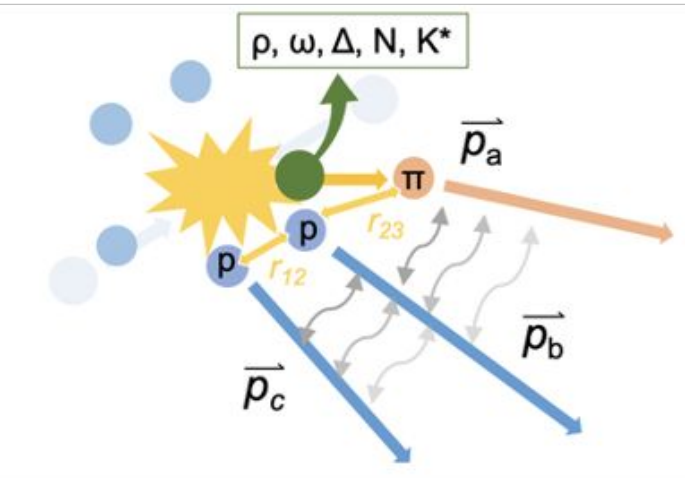


Studying chiral symmetry restoration employing many body femtoscopy



Klimt, Lutz, Weise PLB 249 (1990) 386

M. Korwieser, L.Fabbietti
 Technical University of Munich, E62
 8th of November 2024
 WPCF 2024, Toulouse

Chiral symmetry in a nutshell

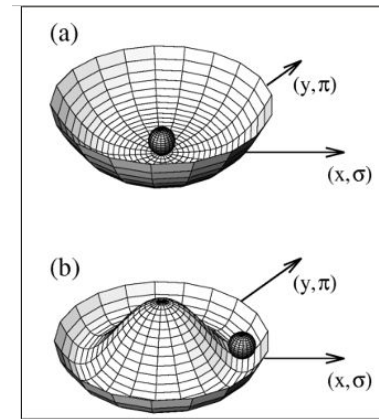
$$L_{QCD}^{m=0} = \bar{\psi}(i\gamma_{\mu}D^{\mu})\psi - \frac{1}{4}G_{\mu\nu}^a G_a^{\mu\nu}$$

- Chiral symmetry (CS) is manifest in the QCD lagrangian density for massless quarks
- A consequence is parity doubling, i.e. mass degenerate states of opposite parity (spin)^{parity}

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- **Spontaneous breaking** of CS breaks this degeneracy
 - The QCD vacuum is **not** invariant!!



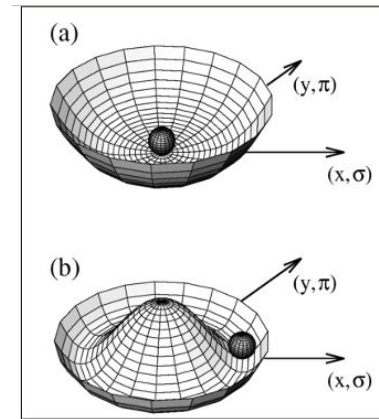
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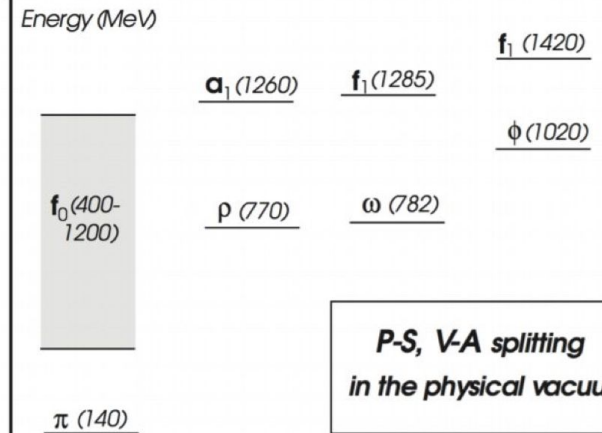
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- **Order parameter** is the chiral condensate $\langle qq \rangle^*$

$$\langle 0 | q\bar{q} | 0 \rangle$$

*very simplified notation

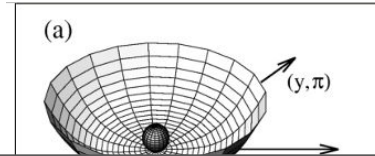


$\bar{q}q$ -excitations of the QCD vacuum



R. Rapp and J. Wambach Adv.Nucl.Phys 25 (2000)

Chiral symmetry in a nutshell



$$T m=0 \quad \bar{T}(\cdot \quad D u) \quad 1 \quad \partial a \quad \partial u v$$

How to connect $\langle qq \rangle$ to hadronic properties?

Can we control the amount of CS violation?

Order parameter is the chiral condensate

$$\langle qq \rangle^* \quad \langle 0 | q \bar{q} | 0 \rangle$$

*very simplified notation

*P-S, V-A splitting
in the physical vacuum*

$\pi (140)$

R. Rapp and J. Wambach *Adv.Nucl.Phys* 25 (2000)

QCD Sum Rules

S. Weinberg, Phys. Rev. Lett. 18 (1967) 507

$$\int_0^\infty \frac{ds}{\pi} [\Pi_V(s) - \Pi_{AV}(s)] = m_\pi^2 f_\pi^2 = -2m_q \langle \bar{q}q \rangle$$

Chiral symmetry restoration manifests itself through mixing of vector and axial-vector correlators

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Directly links $\langle qq \rangle$ to
hadron masses!

Chiral symmetry restoration manifests itself through mixing of vector and axial-vector correlators

TUM Observables linked to the $\langle qq \rangle$ condensate

QCD Sum Rules

S. Weinberg, Phys. Rev. Lett. 18 (1967) 507

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Chiral symmetry restoration manifests itself through mixing of vector and axial-vector correlators

Gell-Mann Oakes Renner (GOR) Relation

Gell-Mann Oakes and Renner Phys. Rev. 175 (1968) 2195

$$m_\pi^2 f_\pi^2 = -\frac{1}{2}(m_u + m_d) \langle u\bar{u} + d\bar{d} \rangle$$

π Decay Constant in vacuum

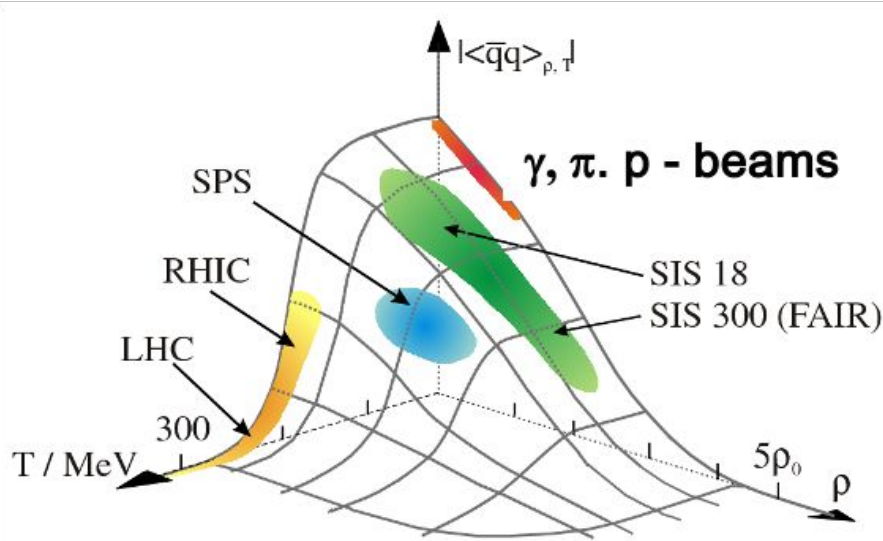
$$f_\pi = 93.3 \text{ MeV}$$

It relates the pion mass and decay constants to the value of the condensate (spontaneous chiral symmetry breaking) and the values of the quark masses (explicit chiral symmetry breaking)

Chiral Symmetry Restoration

$$\langle \bar{q}q \rangle \approx -(240 \text{ MeV})^3 \times N_f$$

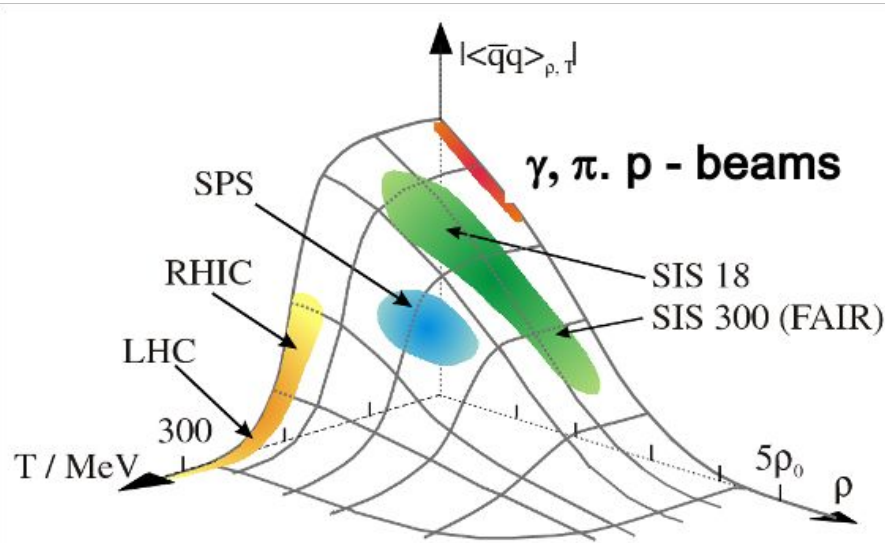
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Klimt, Lutz, Weise PLB 249 (1990) 386

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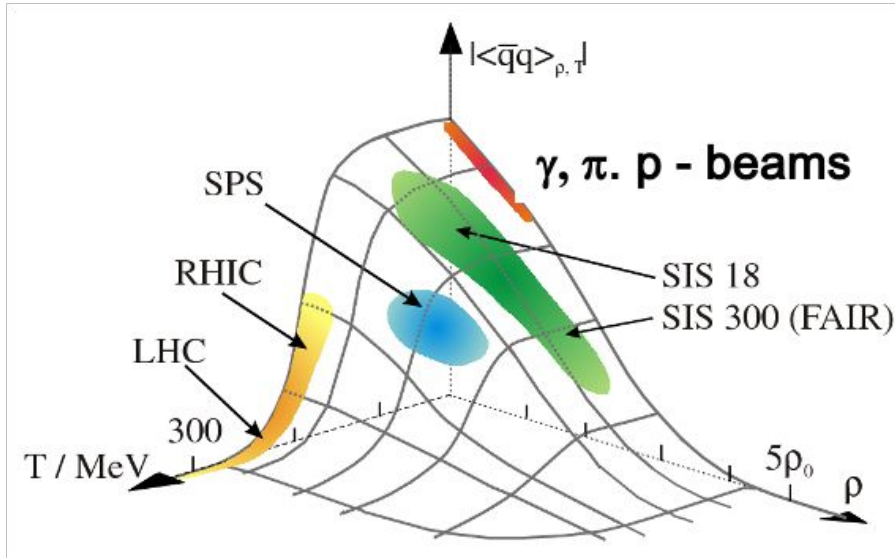
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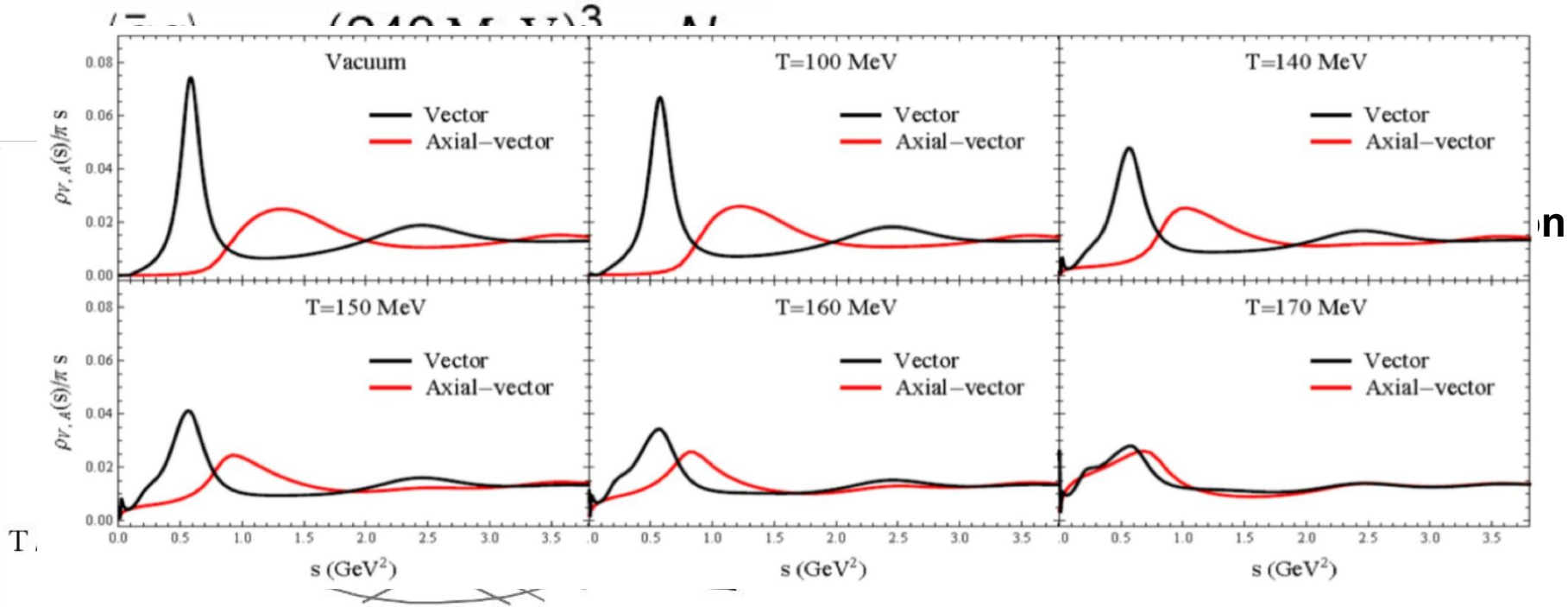


Klimt, Lutz, Weise PLB 249 (1990) 386

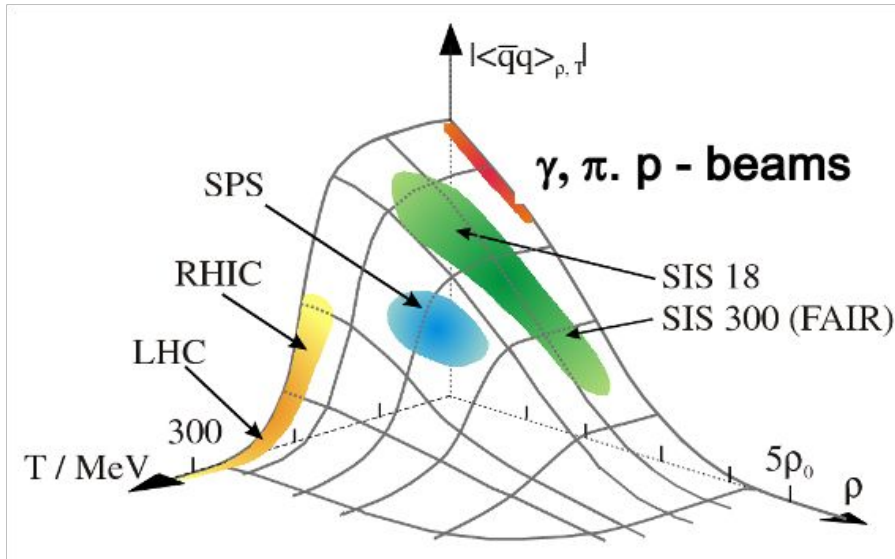
- Value of $\langle \bar{q}q \rangle$ is predicted to drop for increasing temperature (T) and density (ρ)

How to measure degree of restoration experimentally?

- Study excitation functions of hadrons
 - Modifications expected in-medium
 - Degeneracy of chiral partners



$$\langle \bar{q}q \rangle \approx -(240 \text{ MeV})^3 \times N_f$$



Klimt, Lutz, Weise PLB 249 (1990) 386

- Value of $\langle \bar{q}q \rangle$ is predicted to drop for increasing temperature (T) and density (ρ)

How to measure degree of restoration experimentally?

- Many searches for CSR on-going
 - Recently with pionic atoms
piAF Coll. Nature Physics 19 (2023)
 - Line shape analyses of ρ
NA61 EPJC 61 (2009)
 - Study of $M(ee)$ to access ρ meson modifications
HADES Coll. arXiv:2205.15914v2

$$\langle \bar{q}q \rangle \approx -(240 \text{ MeV})^3 \times N_c$$

Add a completely new complementary approach at colliders

Exploit **recent** developments of the femtoscopic methods

T / M

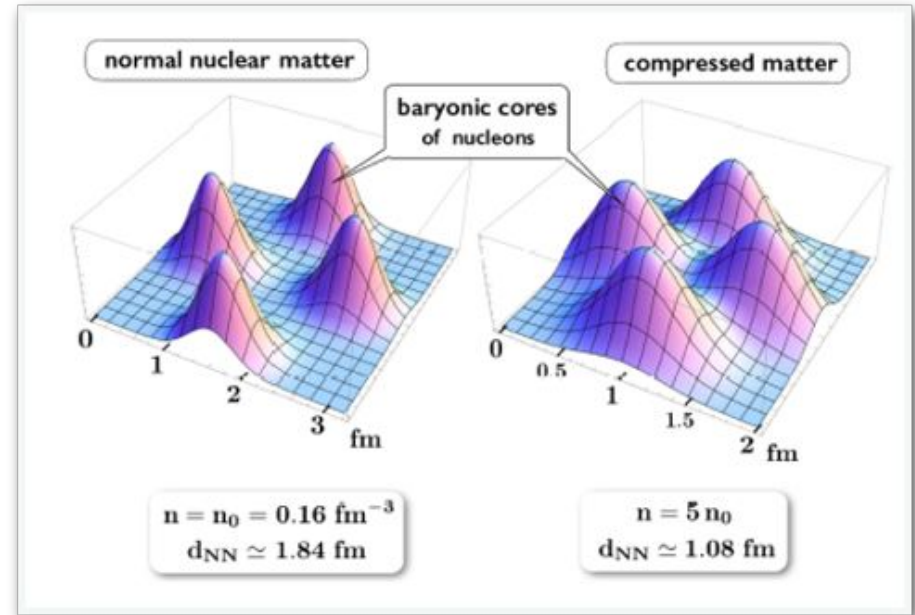
Klimt, Lutz, Weise PLB 249 (1990) 386

- Study on $M(\rho\rho)$ to access ρ meson modifications
HADES Coll. arXiv:2205.15914v2

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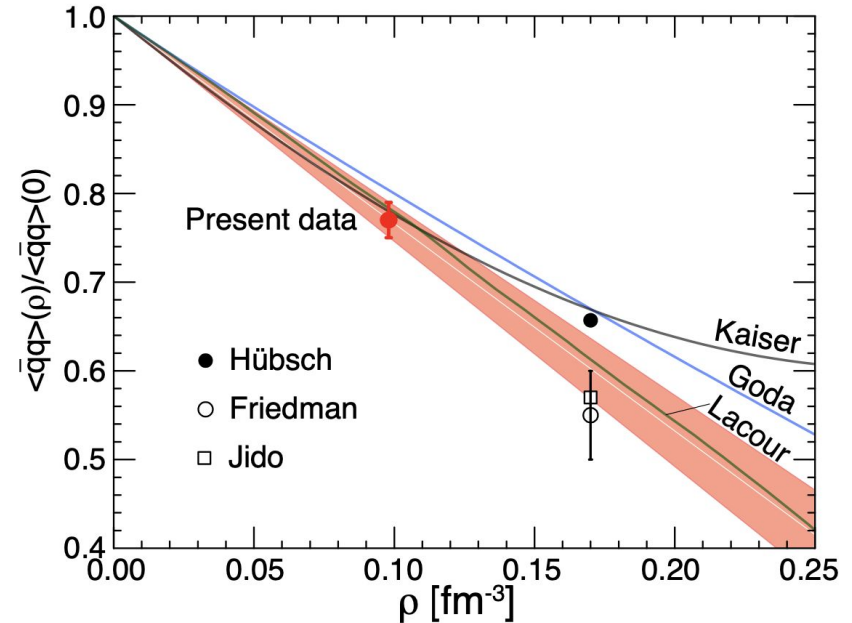
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- Access in-medium properties
 - Emulate dense medium by small distances



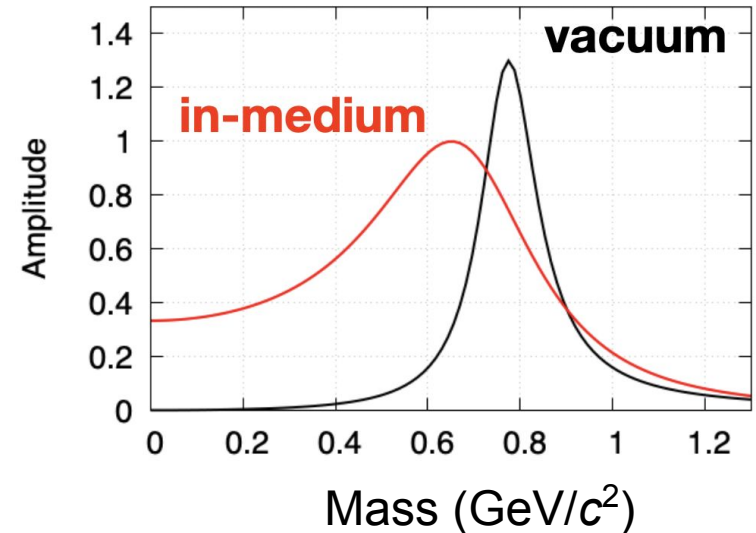
Idea in a nutshell

- Access in-medium properties
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 - Already at $\frac{2}{3} n_0$ drop of $\langle qq \rangle$ of approx. 23%
piAF Coll. Nature Physics 19 (2023)



Idea in a nutshell

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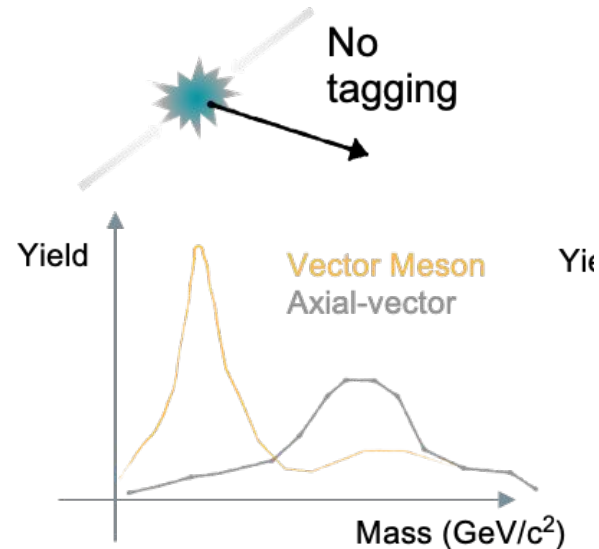


Experimental work

- Systematically approach many-body effects
 - Measure two-body correlations
 - Establish procedure for many-body femtoscopy
 - Tag particles surrounded by close-by nucleons

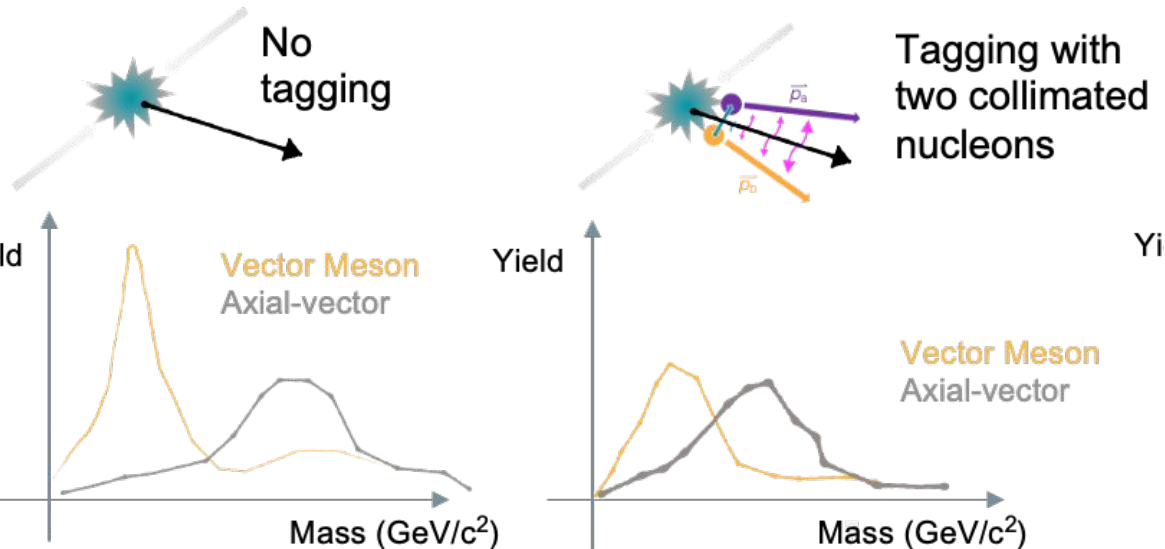
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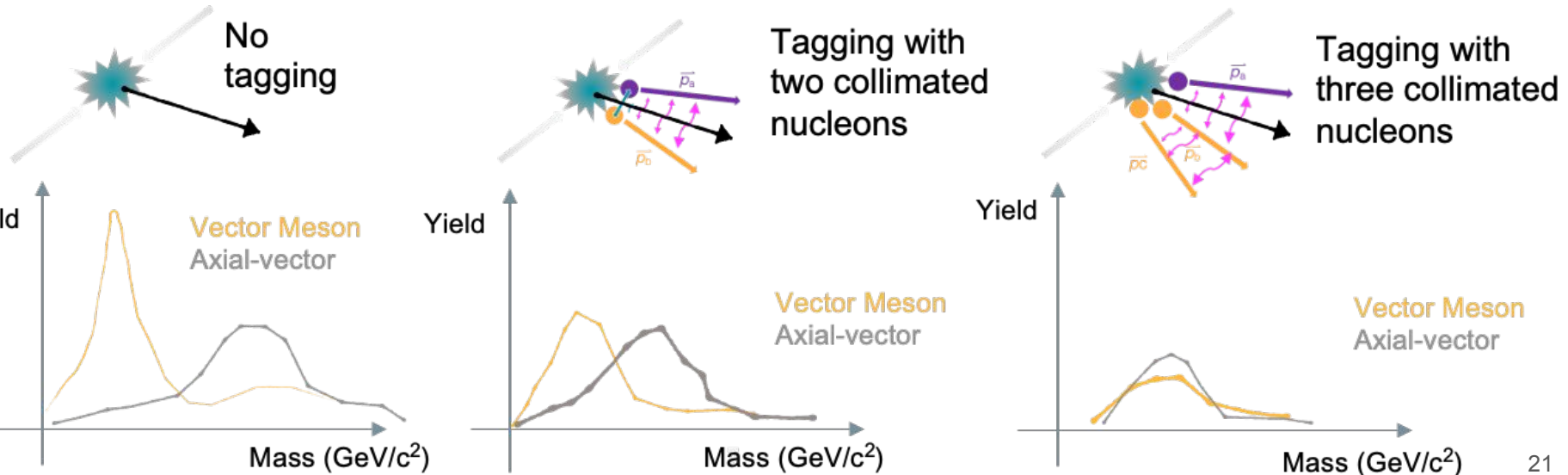
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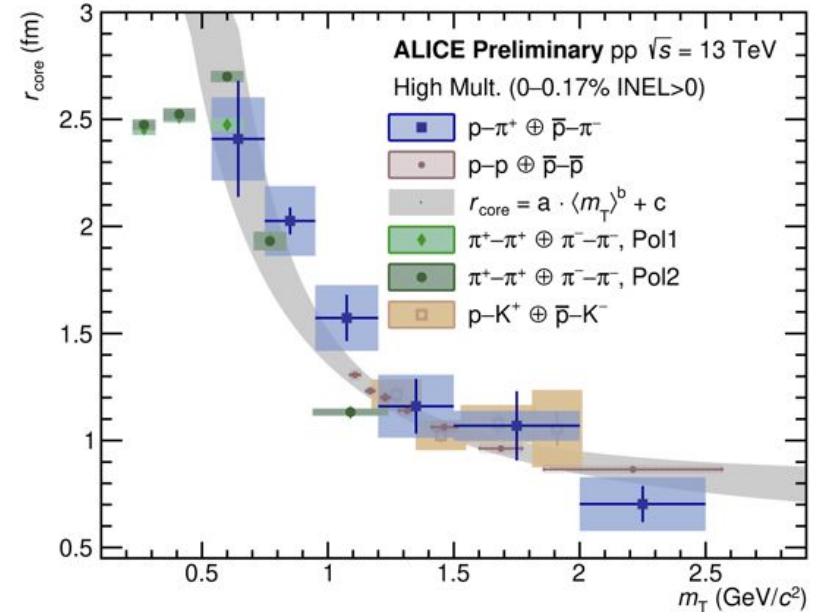
- Emitting source function anchored to p-p correlation function

$$C(k^*) = \int S(\vec{r}) |\psi(\vec{k}^*, \vec{r})|^2 d^3\vec{r}$$

- Two-component model

$$S(r) = \frac{1}{(4\pi r_{core}^2)^{3/2}} \exp\left(-\frac{r^2}{4r_{core}^2}\right) \times \text{Effect of short lived resonances } (c\tau \sim 1 \text{ fm})$$

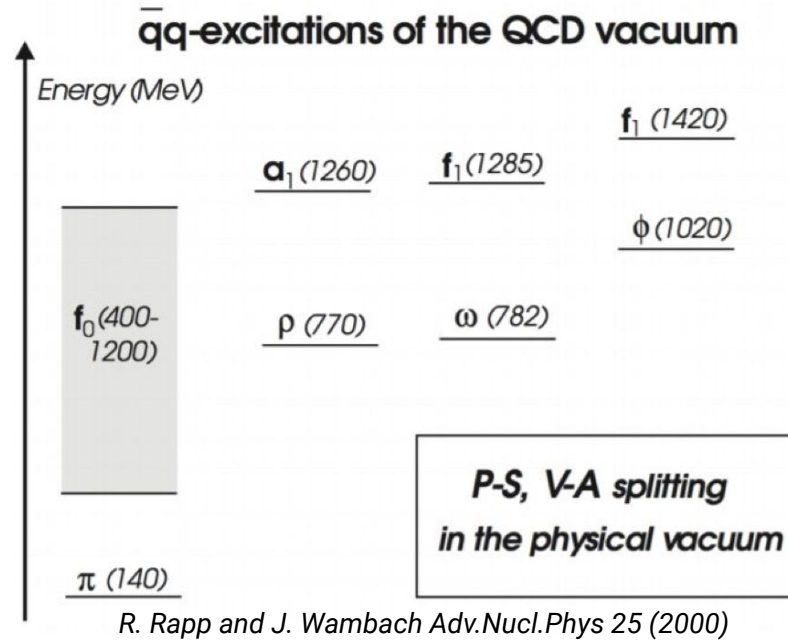
- Universal source for all hadrons (cross-check with K^+ -p, π - π , p- Λ , p- π)
- **Small particle-emitting source created in pp collisions at the LHC**



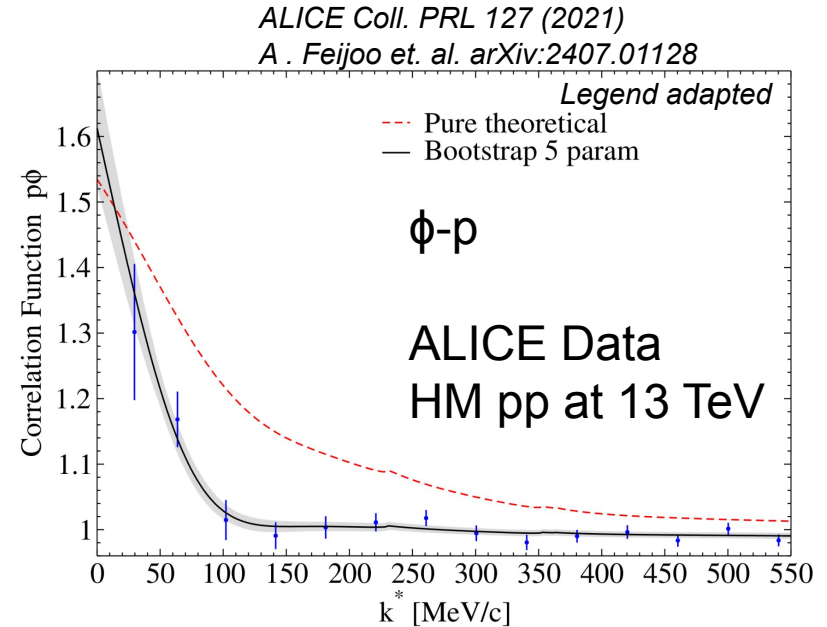
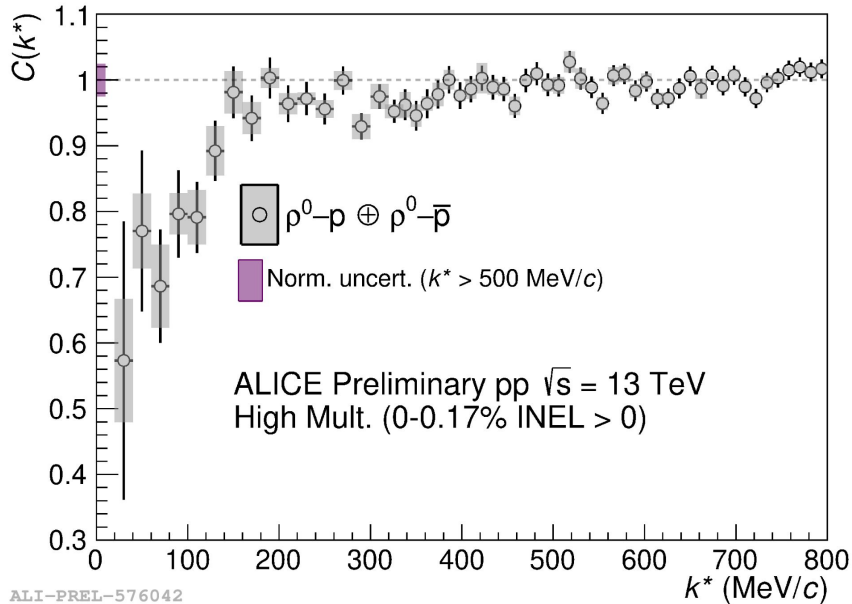
ALI-PREL-576328

ALICE Coll., arXiv:2311.14527 accepted by EPJC
ALICE Coll., PLB, 811 (2020), 135849
ALICE Coll., paper in preparation

TUM Do we see vector meson baryon interactions?

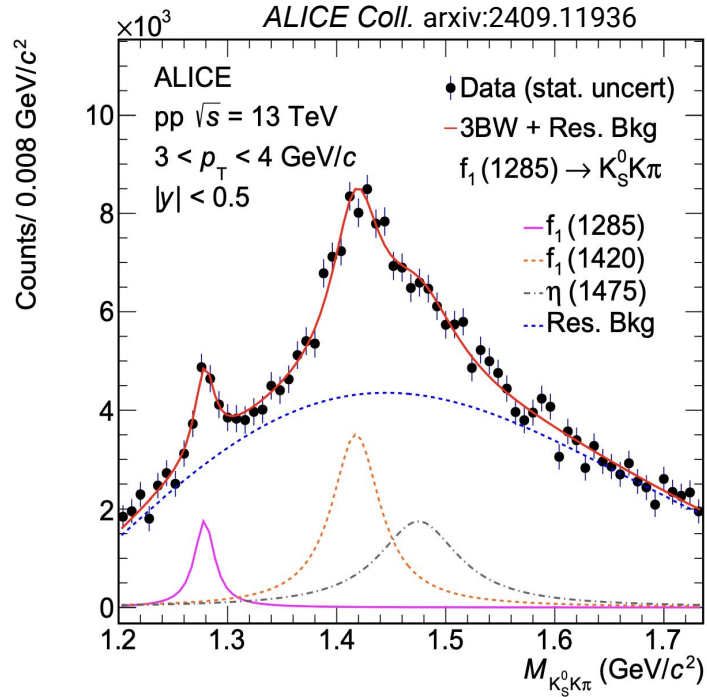


Do we see vector meson baryon interactions? Yes!



- ALICE already measured $\phi\text{-}p$ and recently the $\rho^0\text{-}p$ correlations!
- With Run3 potentially other vector meson baryon correlations are within reach
 - by usage of triggers and wealth of data

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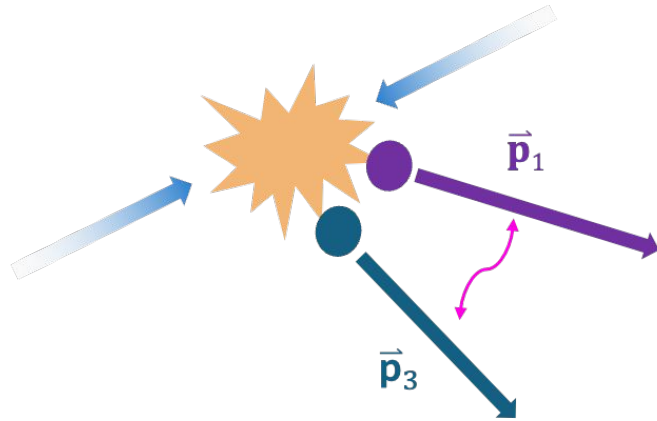
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Extending the femtoscopy to many body studies



Correlation function:

$$C(k^*) = \int S(\vec{r}^*) |\psi(\vec{k}^*, \vec{r}^*)|^2 d^3\vec{r}^*$$

relative momentum:

$$k^* = \frac{1}{2} |\vec{p}_a + \vec{p}_b|$$

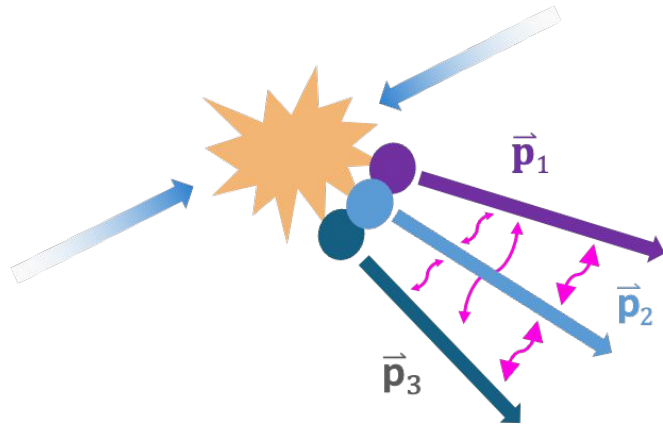
relative distance:

$$r^*$$

M.Lisa, S. Pratt et al., ARNPS 55 (2005), 357-402

L. Fabbietti et al., ARNPS 71 (2021), 377-402

Extending the femtoscopy to many body studies



See also talk of M. Lesch

Correlation function:

$$C(Q_3) = \int S(\rho) |\psi(Q_3, \rho)|^2 \rho^5 d\rho$$

Hyper-momentum:

$$Q_3 = 2\sqrt{k_{12}^2 + k_{23}^2 + k_{31}^2}$$

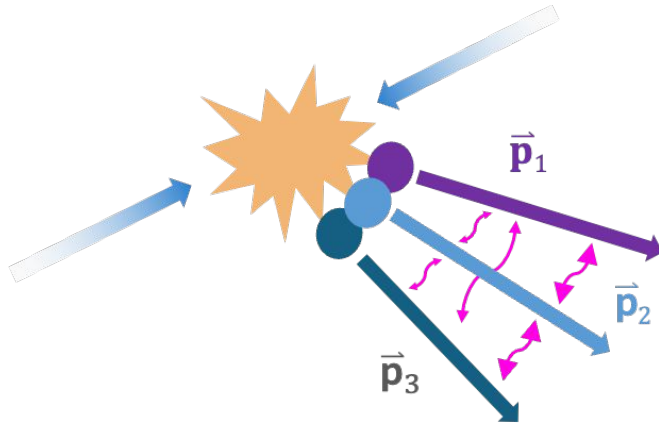
R. Del Grande et al. EPJC 82 (2022) 244
ALICE Coll., EPJ A 59, 145 (2023)

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Exp:

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ALICE Coll. arXiv:2308.16120 (2023), accepted by PRX

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Theory (ALICE):

RDG et al. EPJC 82 (2022) 244

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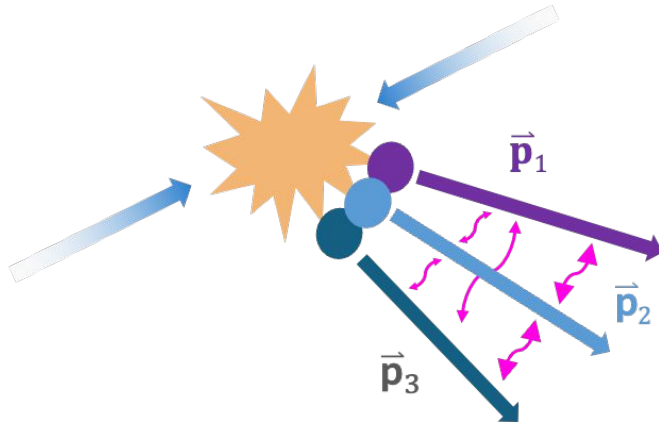
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Three-body analyses in

- pp collisions at ALICE: p-p-p, p-p- Λ , p-p- K^+ , p-p- π^+ , K-d, p-d, Λ -d
- Au-Au collisions at STAR: p-d, d-d
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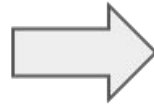
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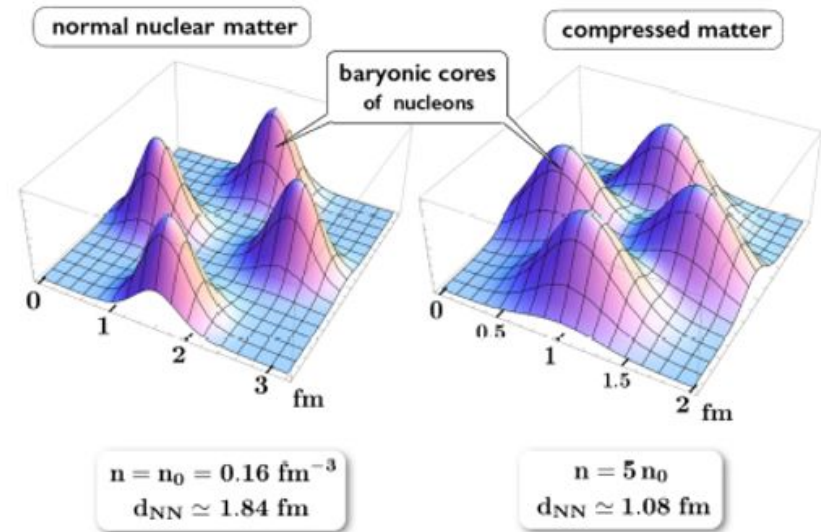
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- Lower order well under control’ plethora of π N and π NN scattering data

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π properties in-medium



Momentum Correlations in pp collisions (or p-Pb, peripheral Pb-Pb)

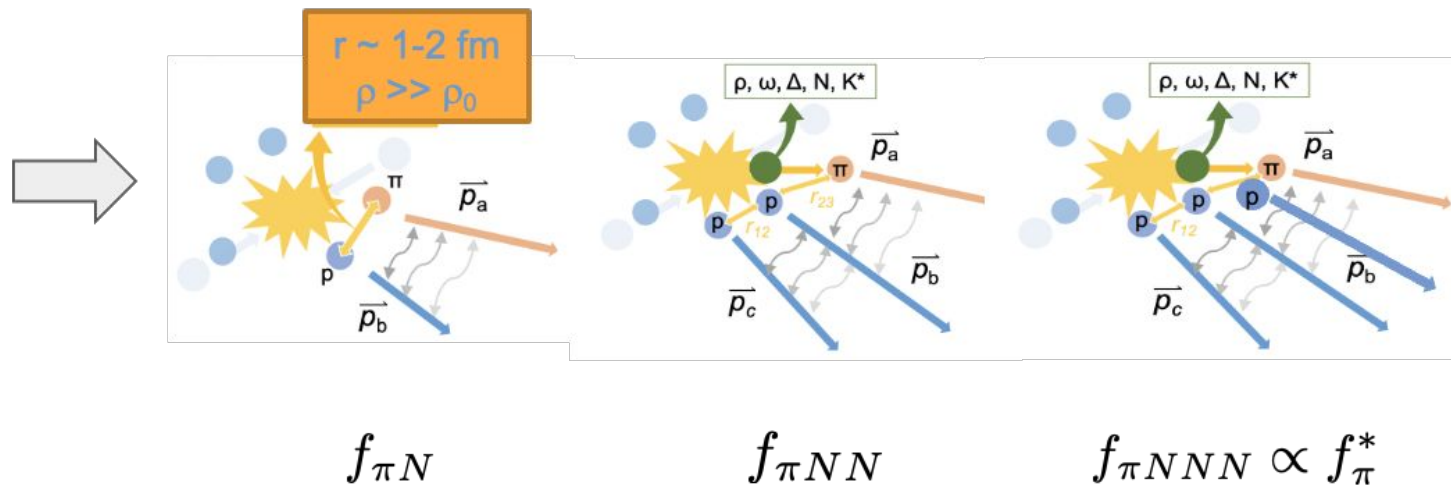


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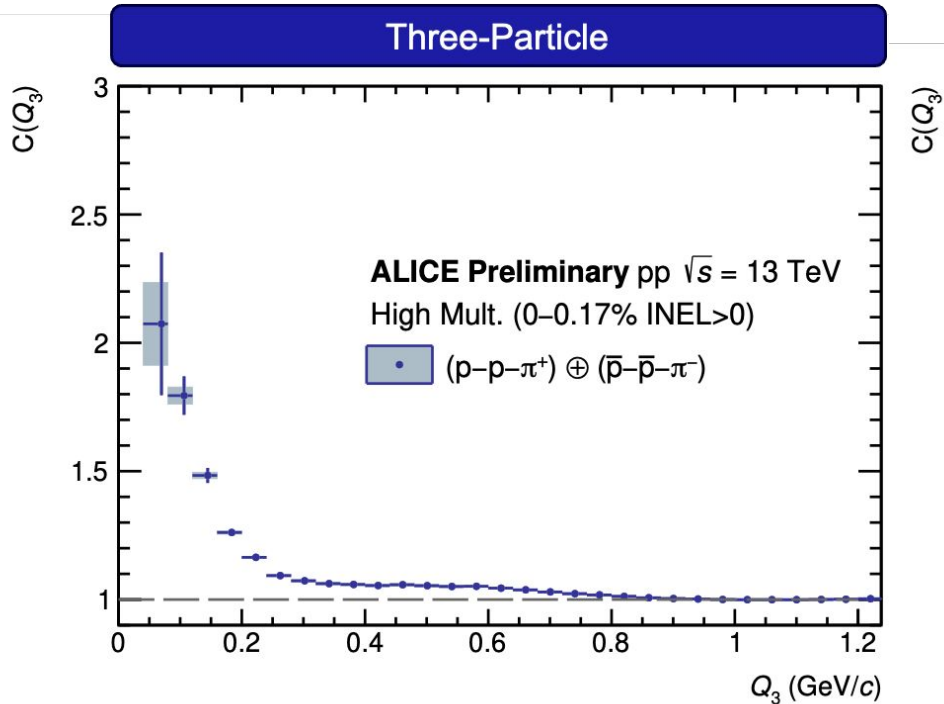
π properties in-medium



Momentum Correlations in pp collisions (or p-Pb, peripheral Pb-Pb)



Do we see genuine π NN correlations?



- Paper in preparation
- 2B and 3B correlation measured
- Model available for 2B but missing full 3B calculations at the moment
- Hint of 3B effects observed using Kubo's cumulant method [1] (see back-up!)

ALI-PREL-576378

LI-PRE

[1] J. Phys. Soc. Jpn. 17, pp. 1100-1120 (1962)

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Future plans for πNN , πNNN and $\pi NNNN$

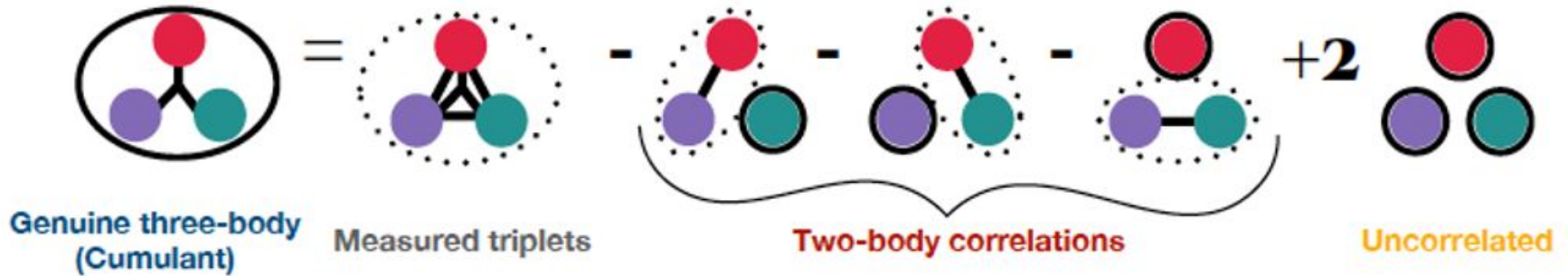
- Measure the correlations systematically starting from 2 body
- Perform a differential (m_T , multiplicity) analysis to pin down the particle emitting source
- Stimulate theory efforts to calculate predictions for the many body correlation function
 - Extract in-medium pion decay constant

$$f_{\pi NNN} \propto f_{\pi}^*$$



Back-up

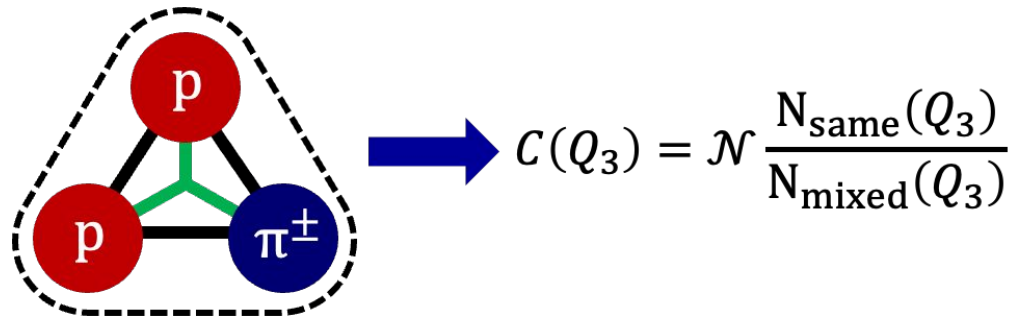
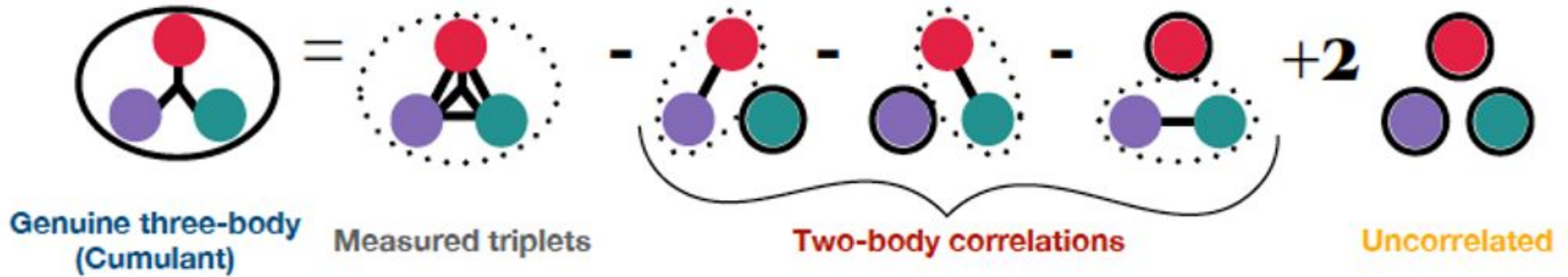
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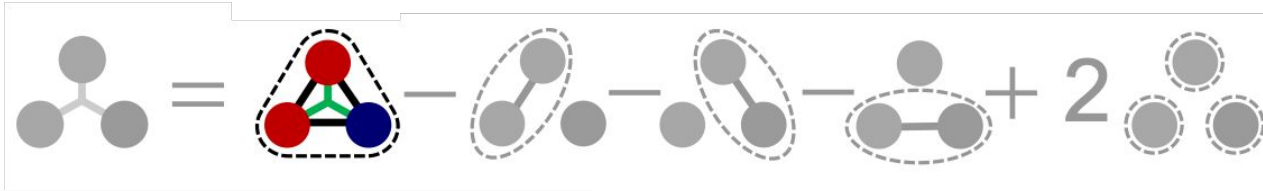
- Measured three particle correlation function includes both two-body and genuine three-body interactions.
- We use Kubo's cumulant method [1] for the same pair distribution and define a femtoscopic cumulant to access genuine 3B correlation [2].

[1] J. Phys. Soc. Jpn. 17, pp. 1100-1120 (1962)
 [2] ALICE Coll., Phys.Rev.C 89 (2014) 2, 024911

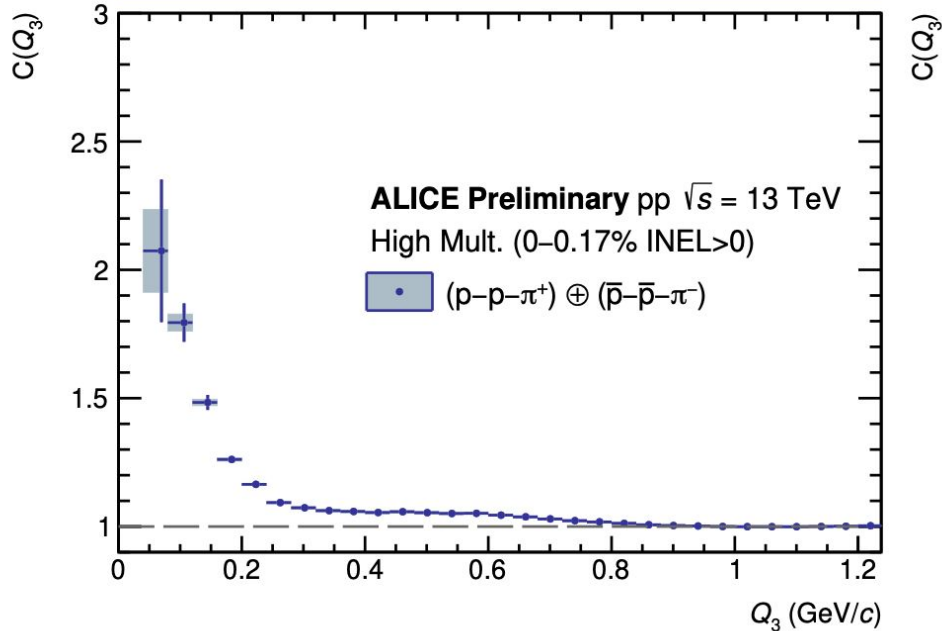
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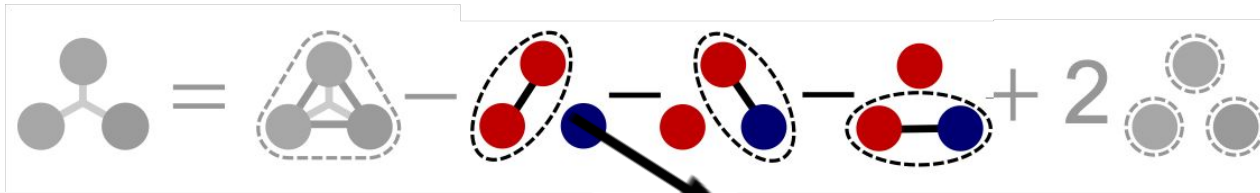
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Three-Particle

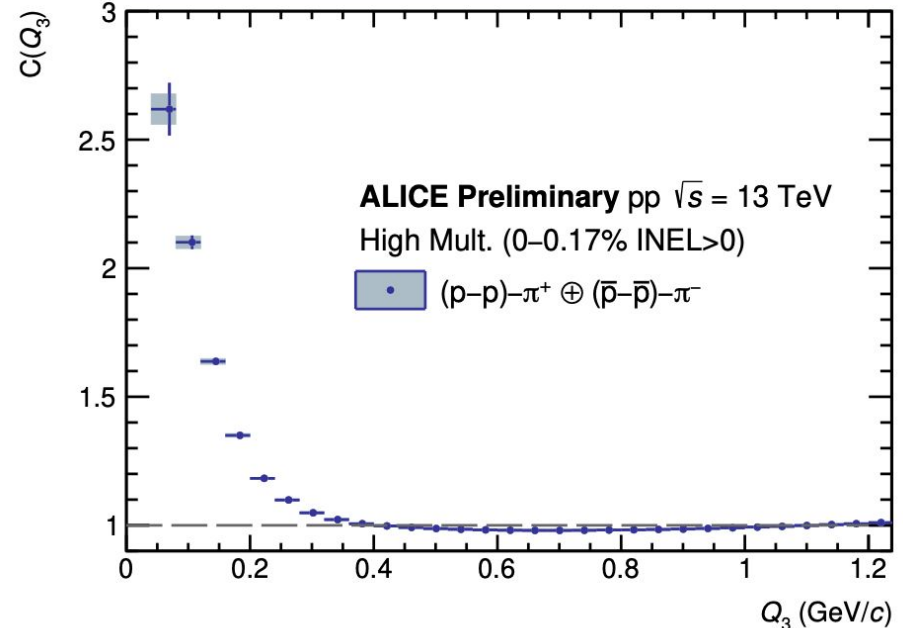
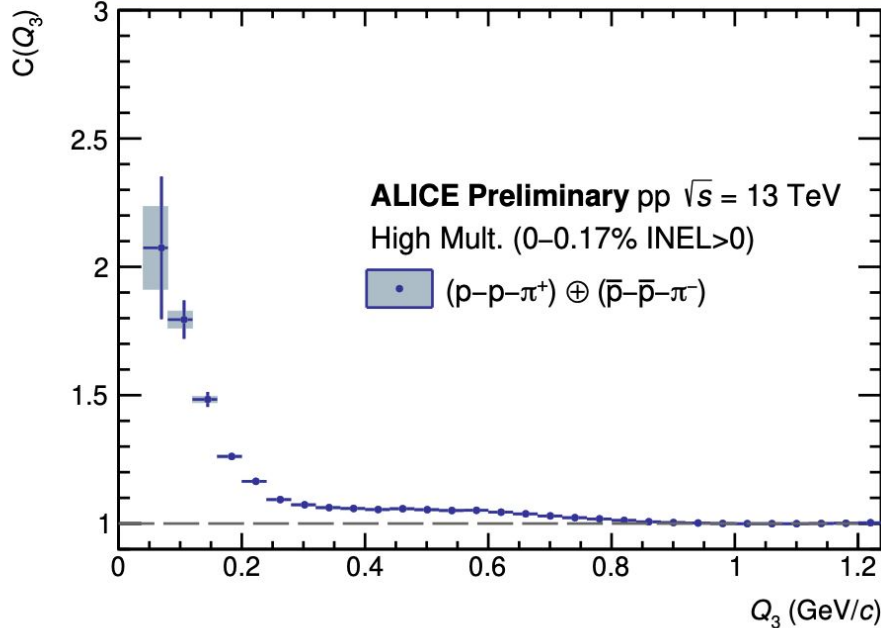


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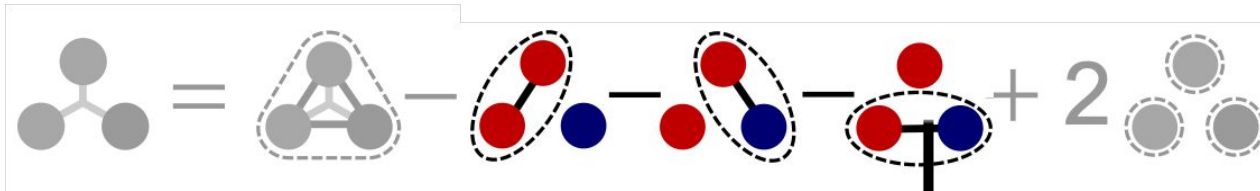


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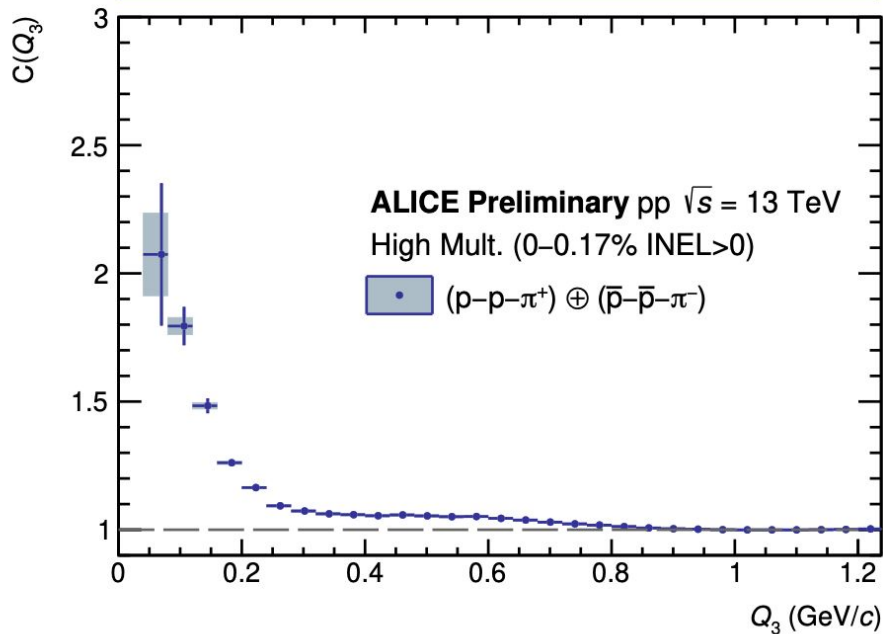
Lower-Order



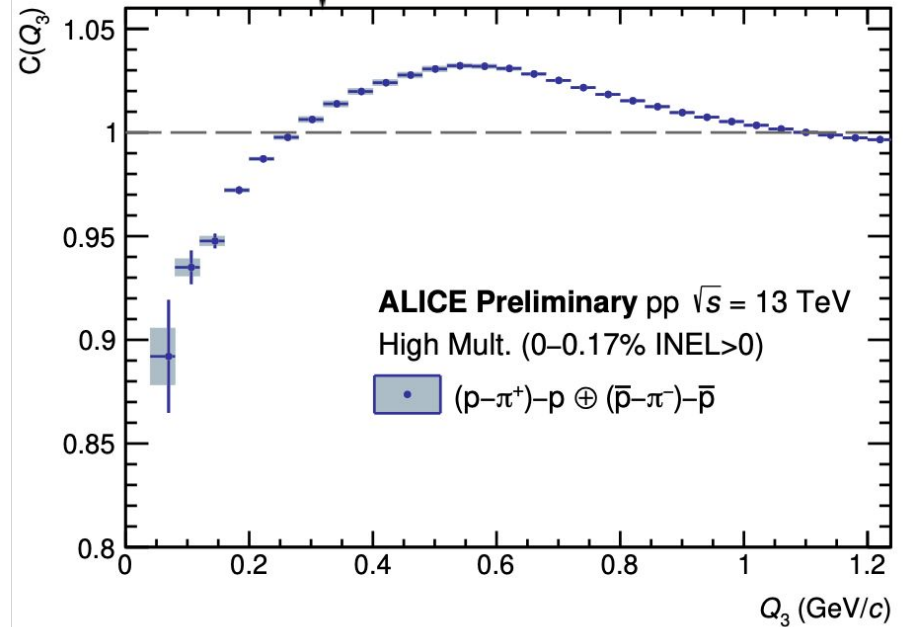
Do we see genuine π NN correlations?



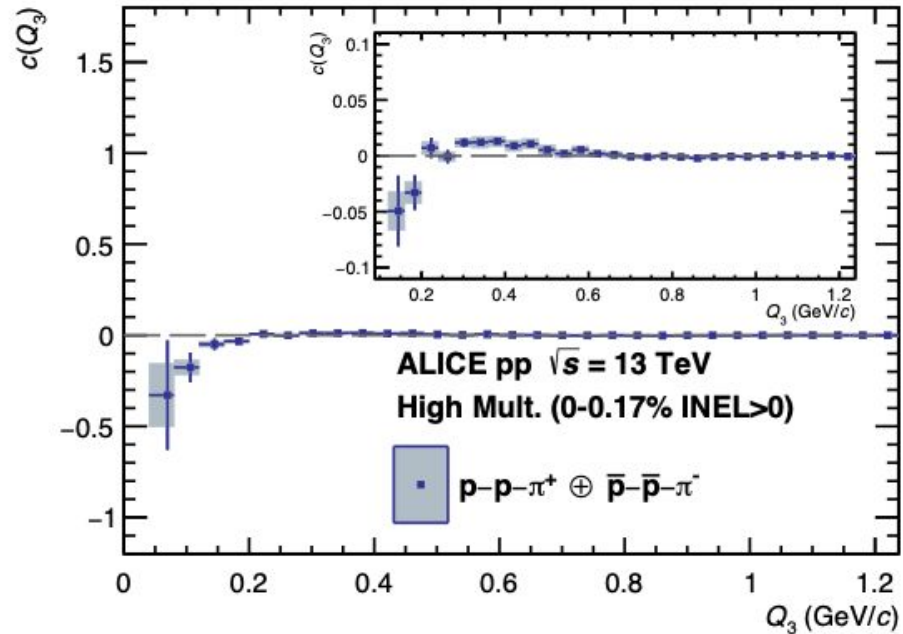
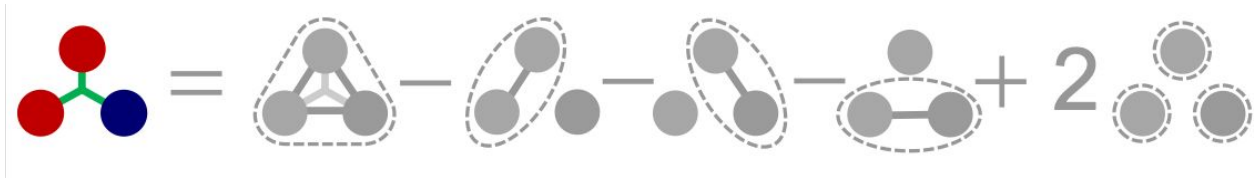
Three-Particle



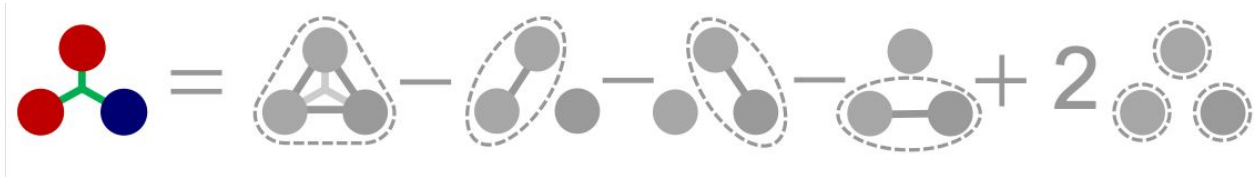
Lower-Order



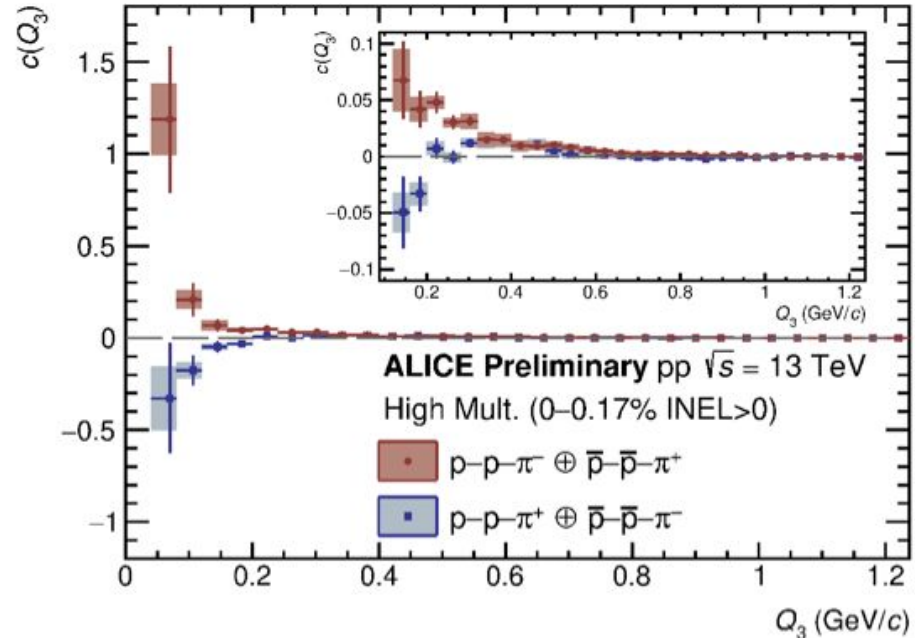
Do we see genuine π NN correlations?



Do we see genuine π NN correlations?



- In both cases cumulant compatible with zero for large Q_3
 \rightarrow No three-body effects
- Three-body effects for small $Q_3 < 200 \text{ MeV}/c$
 Repulsion for π^+pp
 Attraction for π^-pp



ALI-PREL-576418

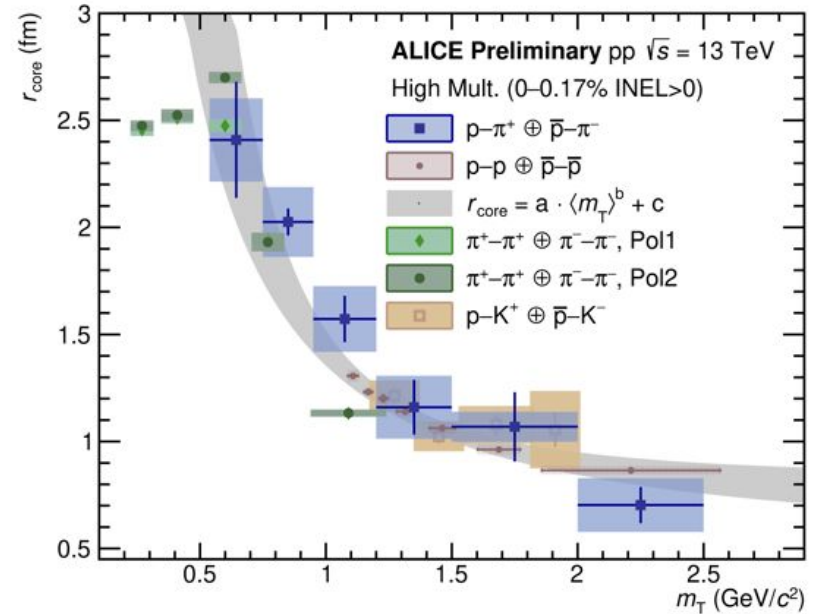
Constraining the source

- Three-particle source as independent Gaussian emitter

$$S(\mathbf{x}_1, \mathbf{x}_2, \mathbf{x}_3) = S(\mathbf{x}_1) S(\mathbf{x}_2) S(\mathbf{x}_3)$$

$$r_{12} \quad r_{23}$$

- Pair radii r_{12}, r_{23}, r_{31} obtained from common source model using the m_T of the pairs in the triplets.



ALI-PREL-576328

ALICE Coll., arXiv:2311.14527 accepted by EPJC

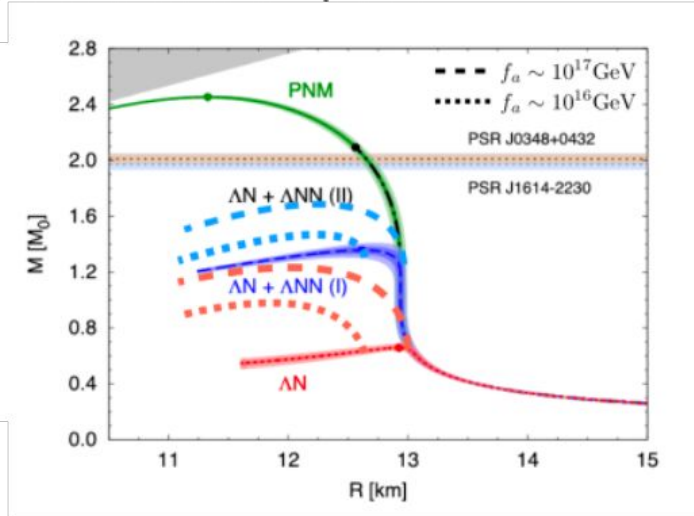
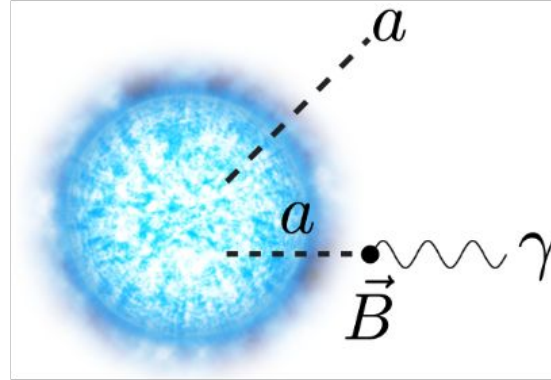
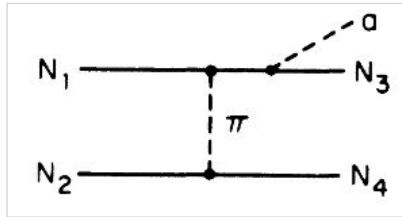
ALICE Coll., PLB, 811 (2020), 135849

ALICE Coll., paper in preparation

TUM An additional motivation.. Beyond standard model

Axions are good candidate to stabilize the otherwise very soft hadronic equation of state of neutron stars

(Raffelt '06 hep-ph/0611350)



➔ The challenge is to determine the in-medium properties of axions

➔ Connection to the in-medium pion properties

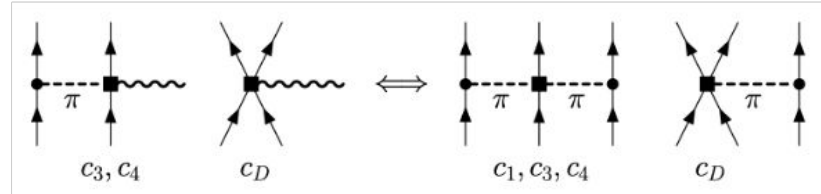
Axion-Nucleon coupling

$$c_N \frac{\partial_\mu a}{2f_a} \bar{N} \gamma^\mu \gamma_5 N, \quad N = p, n$$

RB, Springmann, Serra, Weiler '20

$$\frac{(g_A)_n}{(g_A)_0} = \frac{(\Delta u - \Delta d)_n}{(\Delta u - \Delta d)_0} \simeq 1 + n \left(\frac{c_D}{4 (g_A)_0 f_\pi^2 \Lambda_\chi} - \frac{1}{3 f_\pi^2} \left(2c_4 - c_3 + \frac{1}{2M} \right) \right)$$

(Schwenk et. al. 1103.3622)



Pion in medium properties not known ... either need higher order nucleon pion interactions in vacuum or some way to measure directly ...