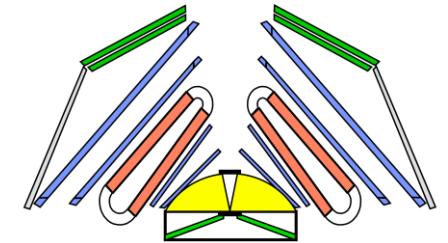
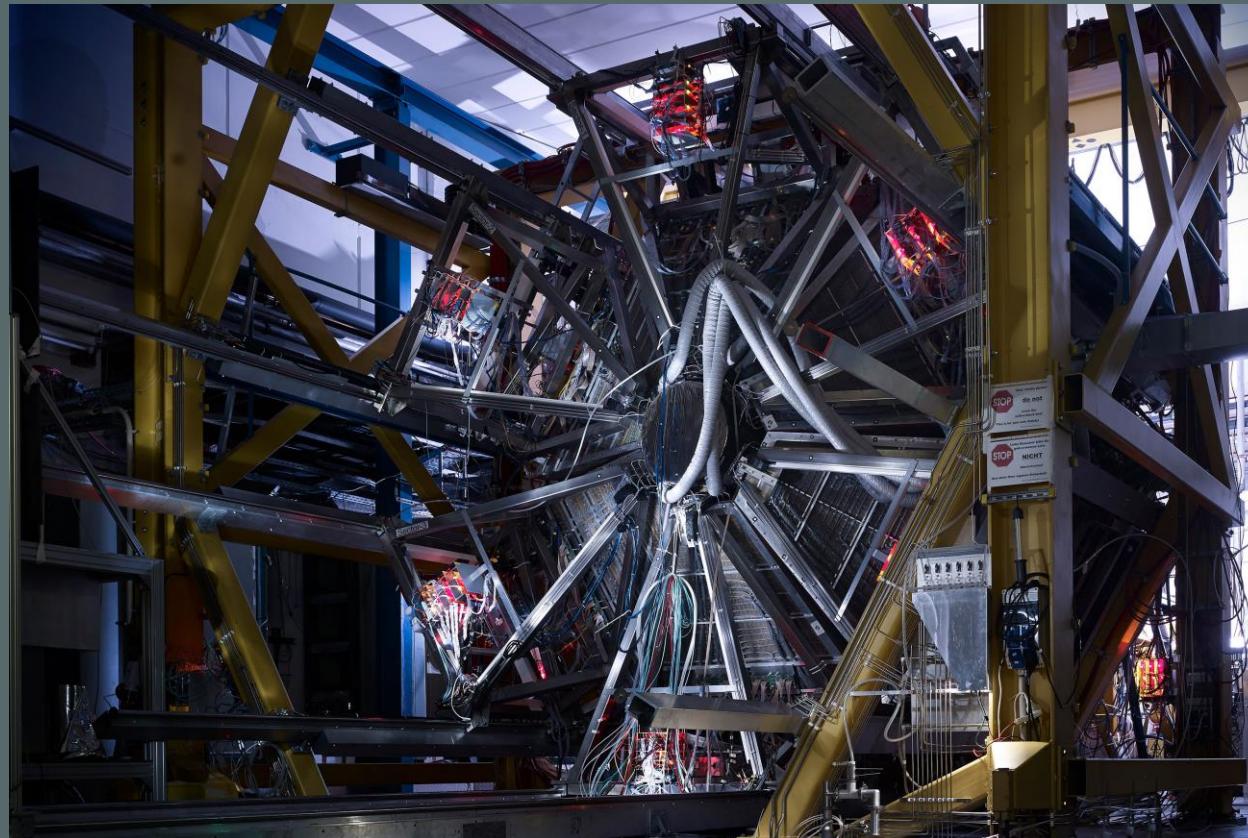


# Photon-photon femtoscopy in Ag+Ag collisions at $\sqrt{s}_{\text{NN}} = 2.55 \text{ GeV}$



**HADES**

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 RESEARCH  
UNIVERSITY  
EXCELLENCE INITIATIVE

 NATIONAL SCIENCE CENTRE  
POLAND

 FAIR  
Phase-0  
Research Program

Mateusz Grunwald  
for the HADES collaboration

**WPCF 2024**

welcomes you in Toulouse  
France

# Outline

## 1) Motivation

- Why photon femtoscopy?

## 2) Femtoscopy technique

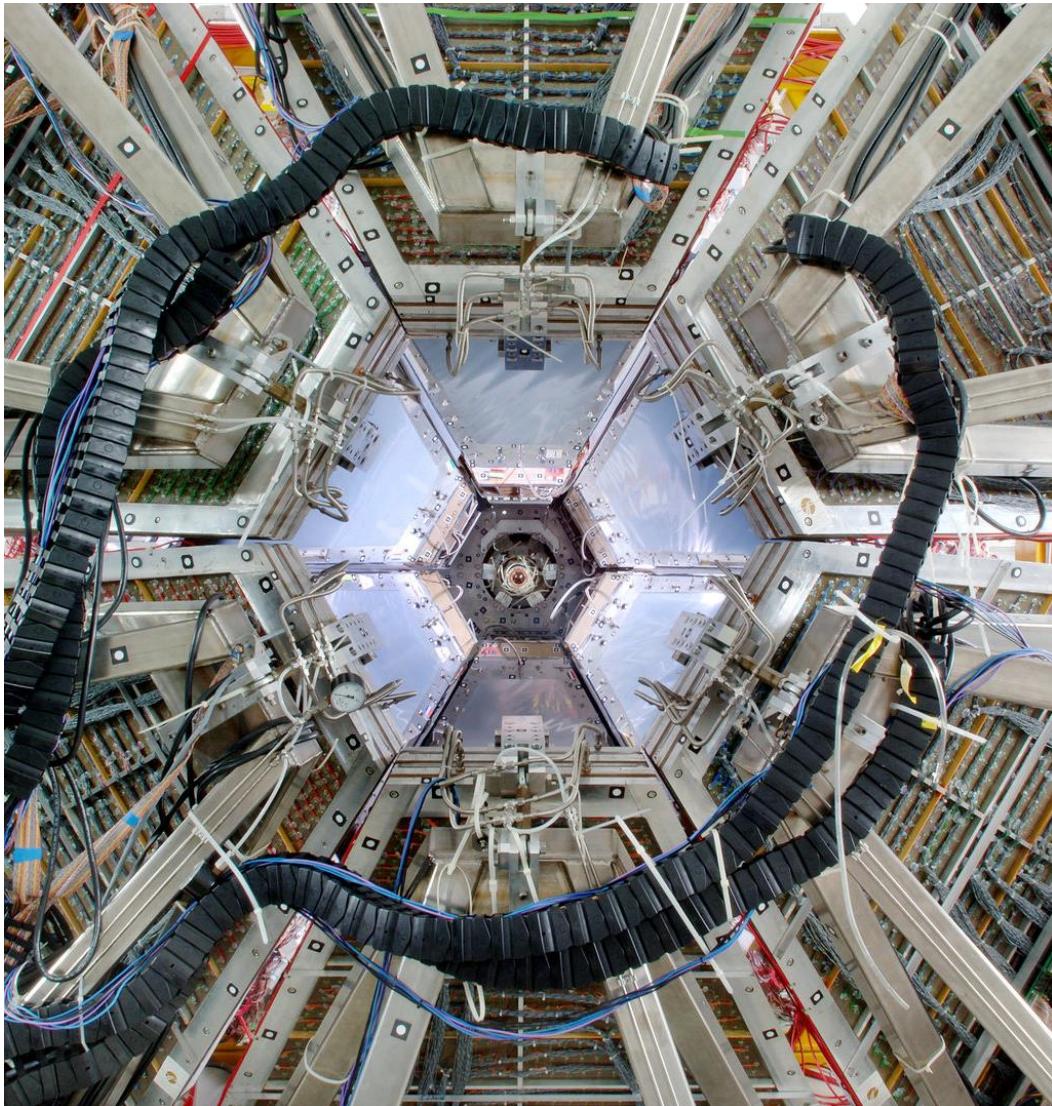
- Well known, but it's good to remind

## 3) HADES experiment

## 4) Results:

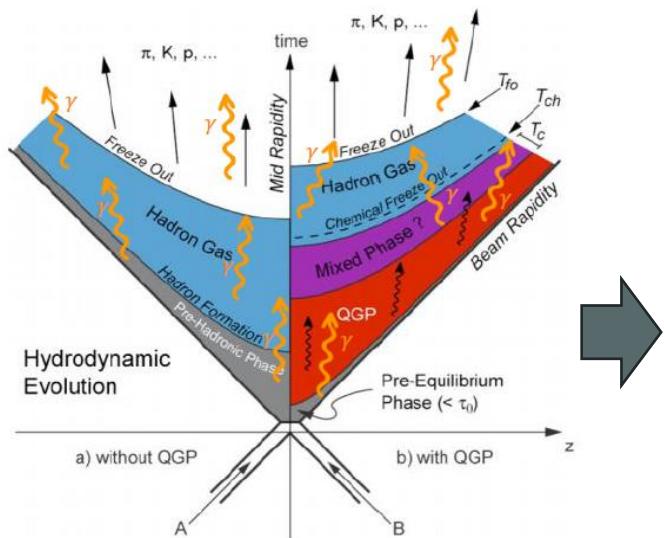
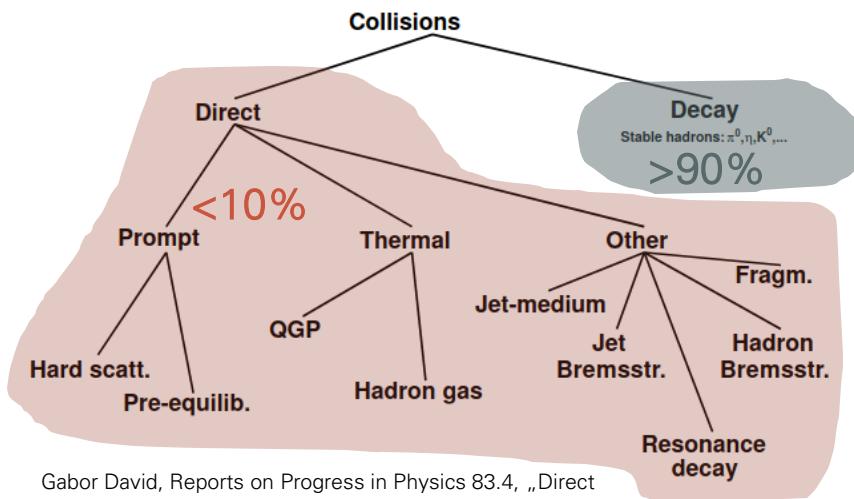
- Photon selection
- Necessary corrections
- Correlation functions + fits

## 5) Summary



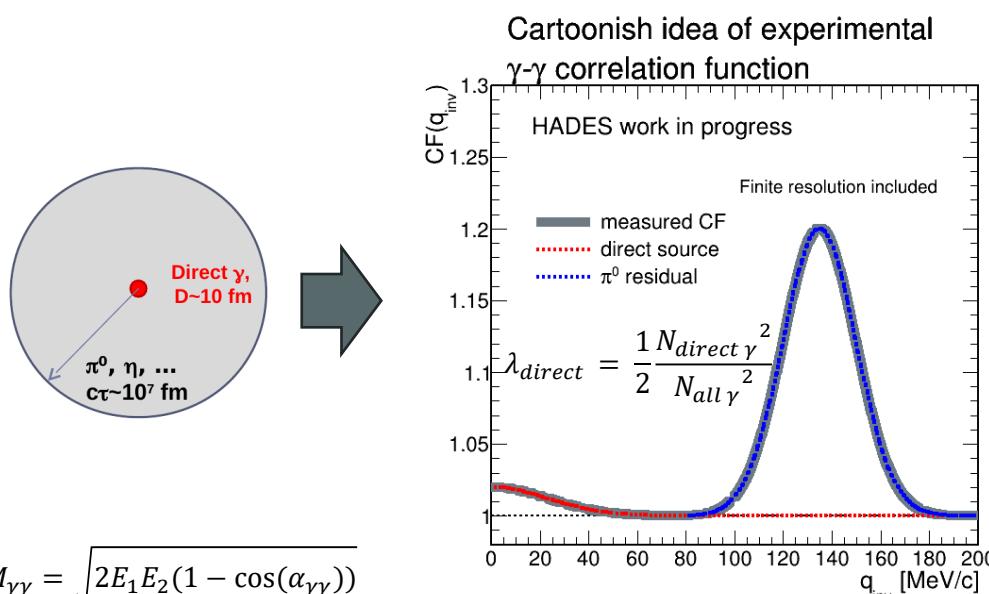
# Motivation

- Measure source properties at early stages -> inaccessible for hadrons
- Estimate average direct photon yield
- Easy in theory, challenging in practice



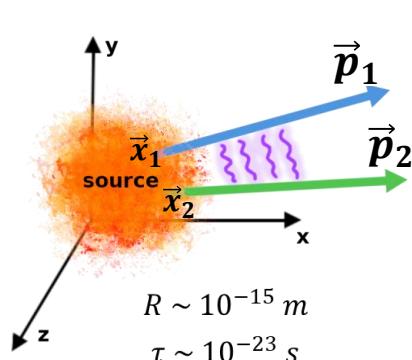
J. Stachel, K. Reygers, QGP physics SS2015 6.,  
„Space-time evolution of the QGP“

$$q_{inv} = M_{\gamma\gamma} = \sqrt{2E_1 E_2 (1 - \cos(\alpha_{\gamma\gamma}))}$$



# Femtoscopy

**Goal** - measure source's space-time characteristics and/or interactions between particles through low relative momentum correlations.



Theory

Single particle emission function:  $P(\vec{p}) = \int S(\vec{x}) d^3x$

Two particle emission function:  $P(\vec{p}_1, \vec{p}_2) = \int S(\vec{x}_1; \vec{x}_2) |\Psi(\vec{x}_1, \vec{p}_1; \vec{x}_2, \vec{p}_2)|^2 d^3x_1 d^3x_2$

Correlation function:  $CF(\vec{p}_1, \vec{p}_2) = \frac{P(\vec{p}_1, \vec{p}_2)}{P(\vec{p}_1)P(\vec{p}_2)}$

$\vec{x}$  : particle's position

$\vec{p}$  : particle's momentum

$\Psi(\vec{x}_1, \vec{p}_1; \vec{x}_2, \vec{p}_2)$  : two particle's wave function

$S(\vec{x})$  : source function

$q = |\vec{p}_1 - \vec{p}_2|$  : momentum difference

$N_{same}(q)$  : same event distribution

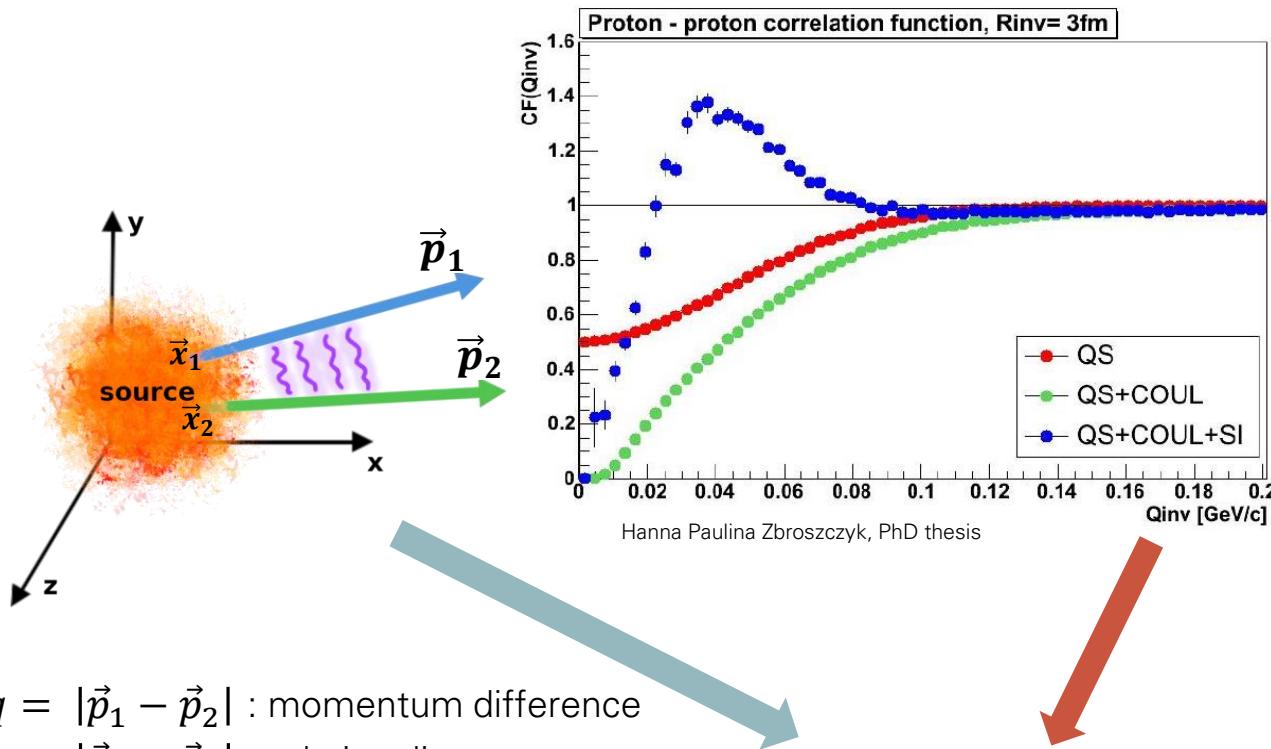
$N_{mixed}(q)$  : mixed event distribution

## Experiment

Correlation function:

$$CF(q) = \frac{N_{same}(q)}{N_{mixed}(q)}$$

# Femtoscopy

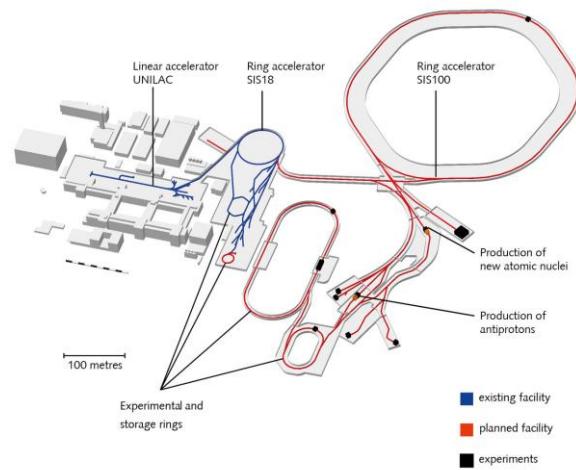
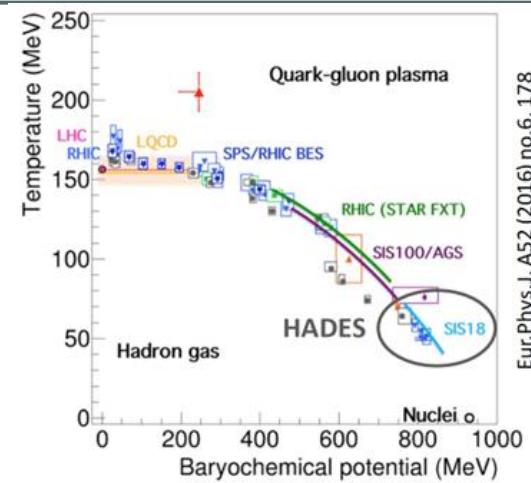


$$CF(q) = \int S(r) |\Psi(r, q)|^2 d^3r$$

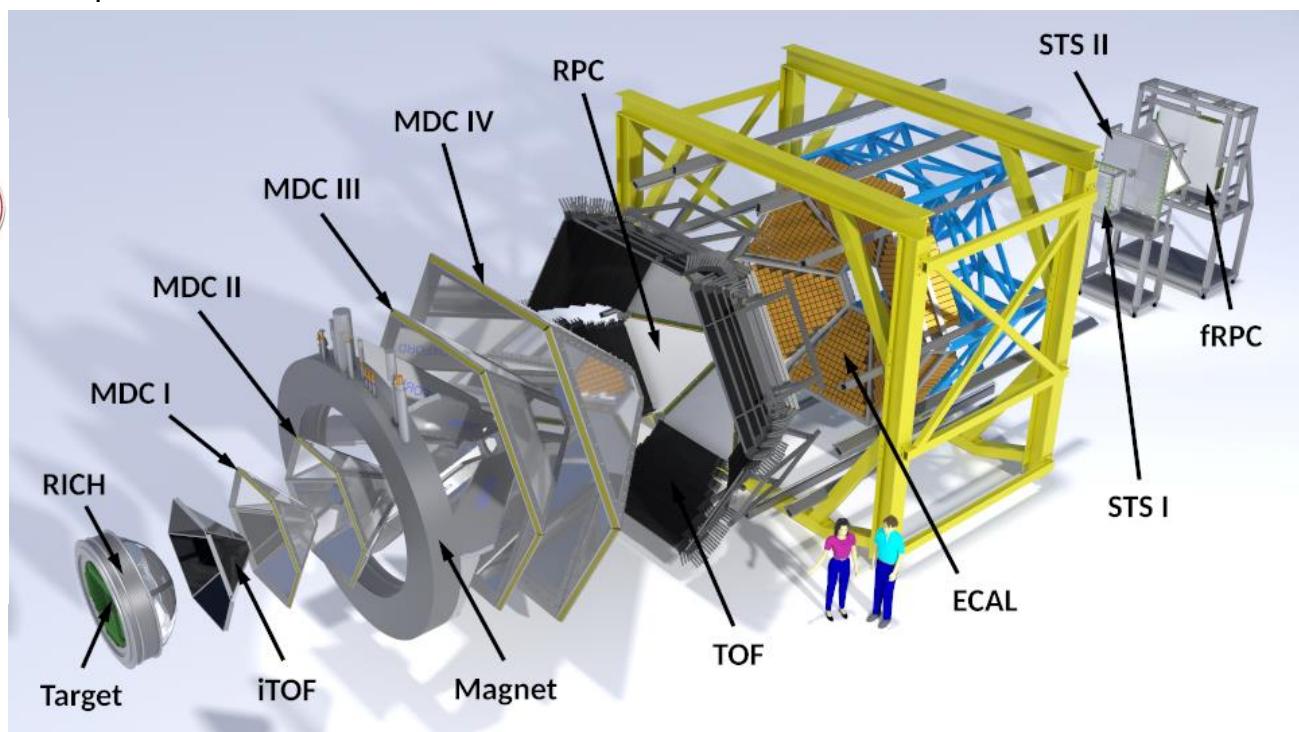
Determine the geometry and dynamic properties (traditional femtoscopy)

Determine the interactions (non-traditional femtoscopy)

# HADES experiment

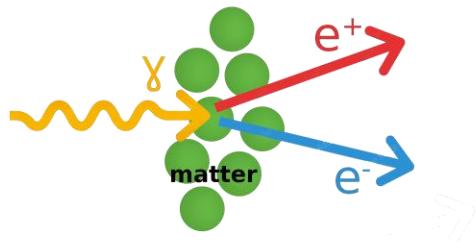


- High Acceptance Di-Electron Spectrometer
- Fixed target, few (1-2) GeV beam kinetic energy
- Measurement of dilepton pairs from vector mesons ( $\omega$ ,  $\phi$ ,  $\rho$ )
- High angular acceptance ( $0^\circ < \phi < 360^\circ$ ,  $18^\circ < \theta < 85^\circ$ ) split into 6 sectors
- High  $e^\pm$  reconstruction efficiency (RICH, ECAL) and  $\pi^\pm / p$  separation (TOF)



# Photons at HADES

## Photon Conversion Method (PCM)

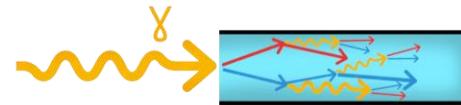


- High momentum and angular resolution
- Good lepton reconstruction efficiency at HADES
- Pure sample of photons

- Possible lepton close track effects due to small opening angle
- 2-step reconstruction (leptons → photons) → **low efficiency**
- **Low conversion probability** due to very small material budget of HADES
- ( $\sim 10^{-5}$  prob. of reconstructing  $2\gamma/\text{event}$ )

Not enough photons reconstructed via PCM for femtoscopic measurements!

## Electromagnetic calorimeters (ECAL)



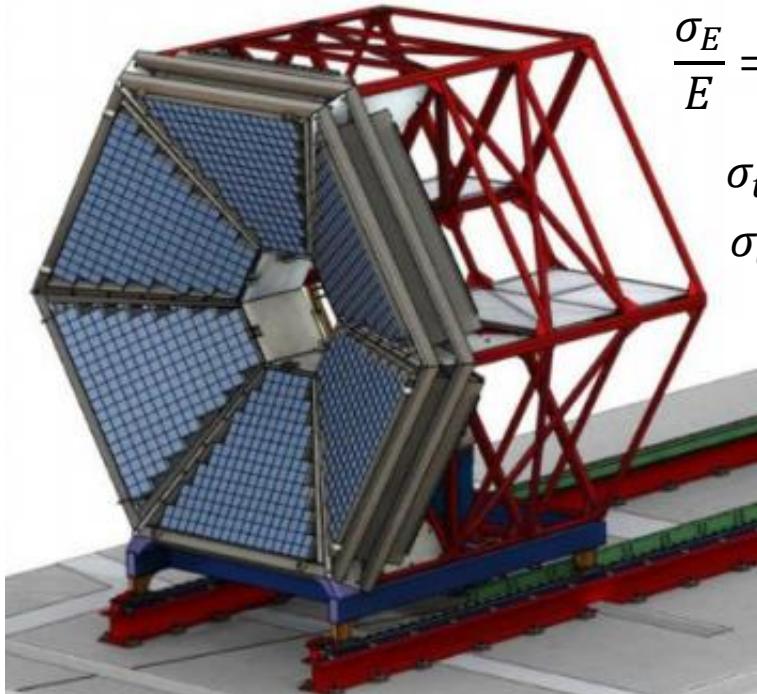
- Great efficiency due to direct reconstruction of neutral particles
- Decently pure sample with suitable criteria

- Calorimeter modules are usually big → poor angular resolution
- Low-end energy resolution is low due to  $\sim 1/\sqrt{E}$  behavior → low  $Q_{\text{INV}}$  might be fairly smeared, since:

$$q_{\text{inv}} = m_{\gamma\gamma} = \sqrt{2E_1 E_2 (1 - \cos(\alpha_{\gamma\gamma}))}$$

# Photons at HADES - ECAL

Electromagnetic calorimeters (ECAL)

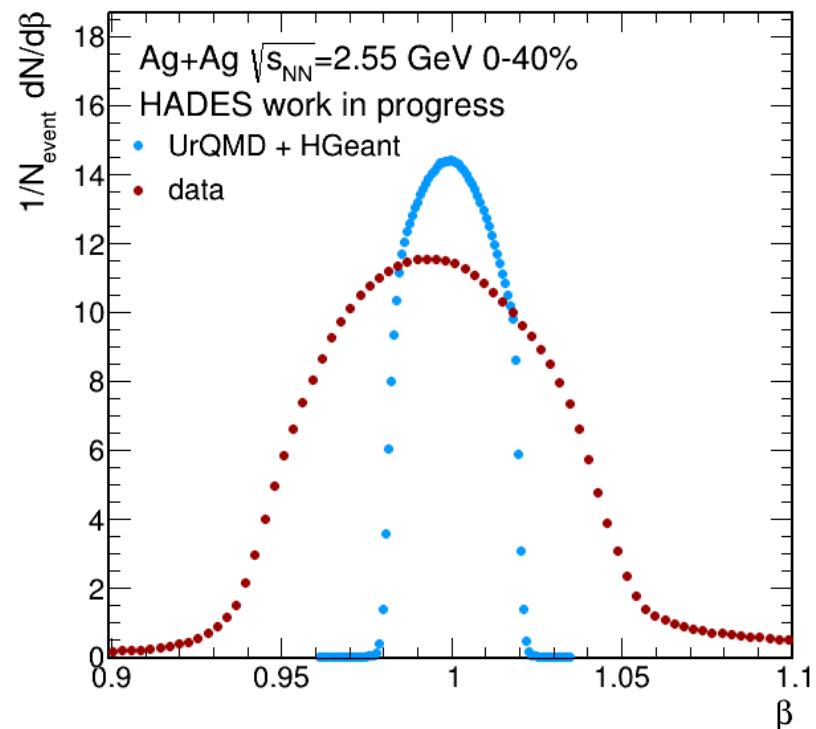


$$\frac{\sigma_E}{E} = \frac{6\%}{\sqrt{E}(\text{GeV})}$$

$$\sigma_t < 300 \text{ ps}$$

$$\sigma_{\alpha_{\gamma\gamma}} = 2.2^\circ$$

ECAL  $\gamma$   $\beta$  distribution

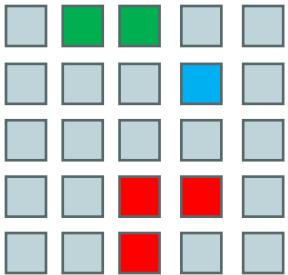


- Photon definition:

- No matching with charged tracks or hits in ToF detectors within  $6\sigma$
- No charged particle with opening angle to cluster  $> 2.8^\circ$
- Cells closest to the beam line are not used
- Total cluster energy  $> 100 \text{ MeV}$ , minimal energy in each module  $> 50 \text{ MeV}$
- $\beta$  within  $1\sigma$  from expected photon peak ( $\beta \sim 1$ ), adjusted for each module (and day/hour of a beamtime)

statistical uncertainties only

# Photons at HADES - ECAL



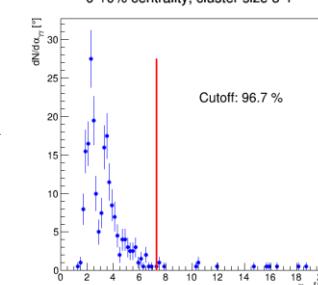
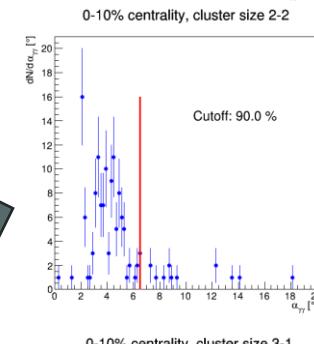
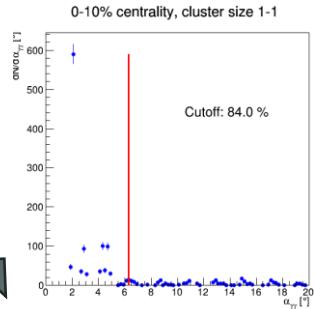
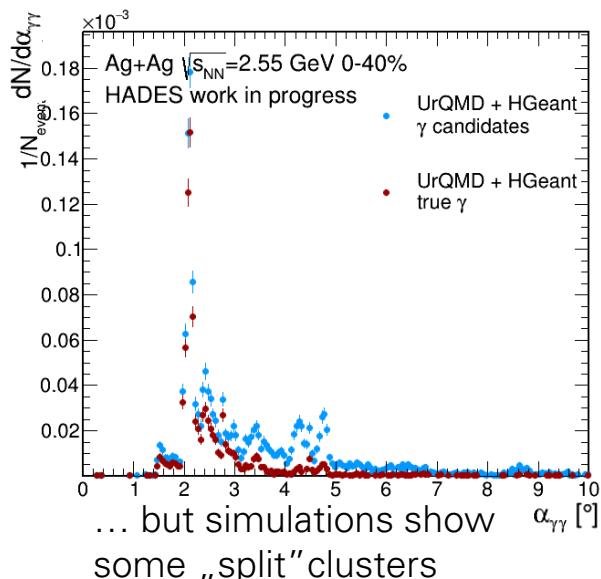
Modules are  $\sim 2.2^\circ$  (92 mm) wide,  
Can't separate  $2\gamma$  within 300 ps  
interval  $\rightarrow$  1 module detects 1  $\gamma$

Minimum opening angle by geometry,  
aka. „hardware limit”  $\sim 4.4^\circ$   
(for 2 „size 1” clusters)

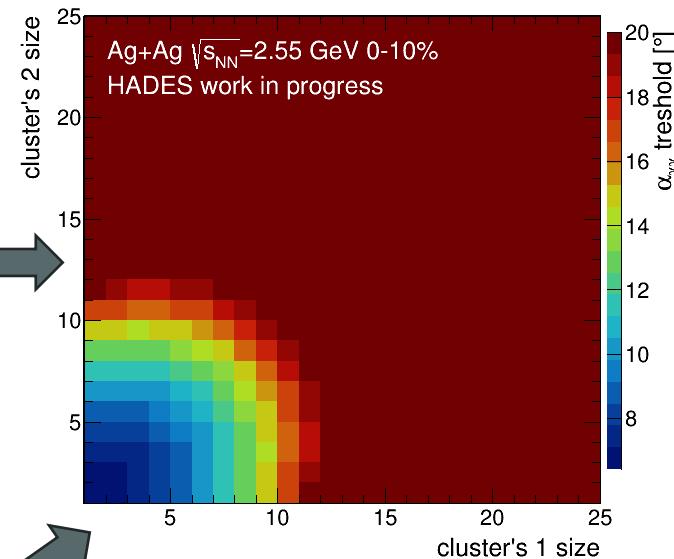
$\gamma$  triggers:

- 1 module  $\rightarrow$  cluster size 1
- 2 modules  $\rightarrow$  cluster size 2
- 3 modules  $\rightarrow$  cluster size 3
- ...

ECAL  $\alpha_{\gamma\gamma}$ , same Geant track pairs



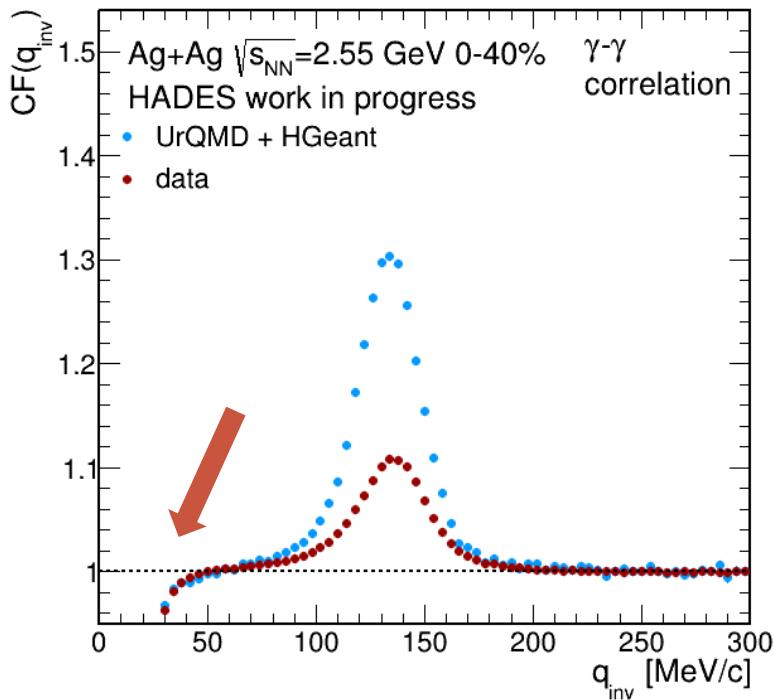
Two ECAL  $\gamma$   $\alpha_{\gamma\gamma}$  threshold map



Made for each 10% centrality interval separately

statistical uncertainties only

# Photon-photon correlation functions, Ag+Ag at 2.55 GeV



UrQMD + HGeant → HADES's simulations.  
No FSI/QS involved, no direct photons present.  
Used as a benchmark of detector effects

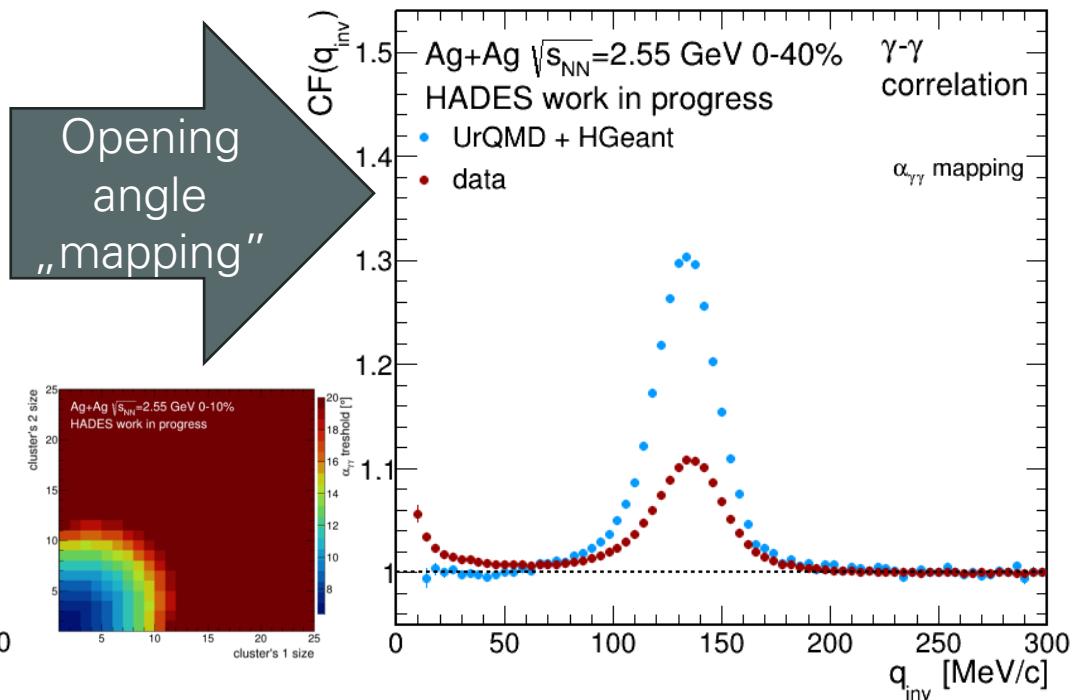
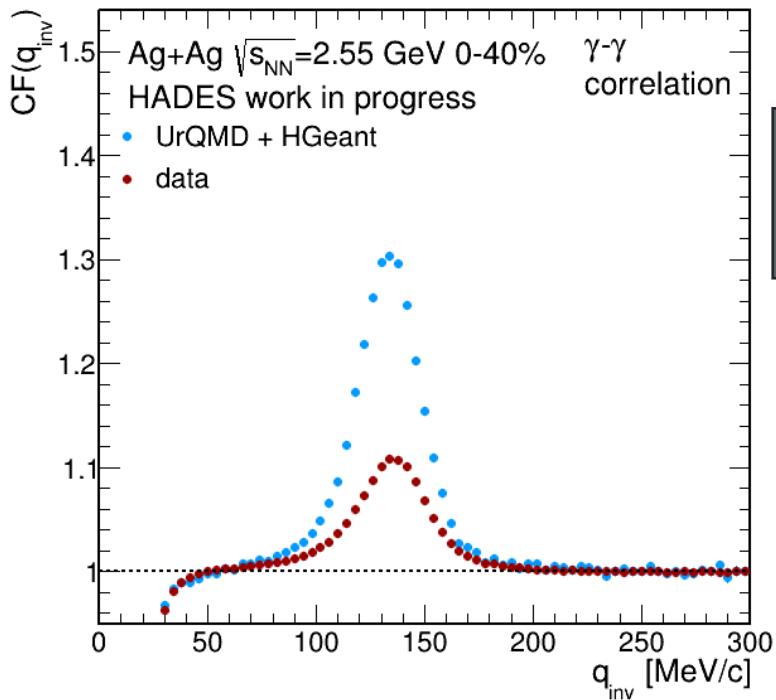
data → real data gathered by HADES

Anticorrelation caused by uneven  $a_{\gamma\gamma}$   
acceptance between same & mixed  
events („hardware limit”)

$$q_{inv} = \sqrt{(\vec{p}_1 - \vec{p}_2)^2 - (E_1 - E_2)^2}$$

statistical uncertainties only

# Photon-photon correlation functions, Ag+Ag at 2.55 GeV



Visible enhancement at low  $q_{\text{inv}}$  over simulations!

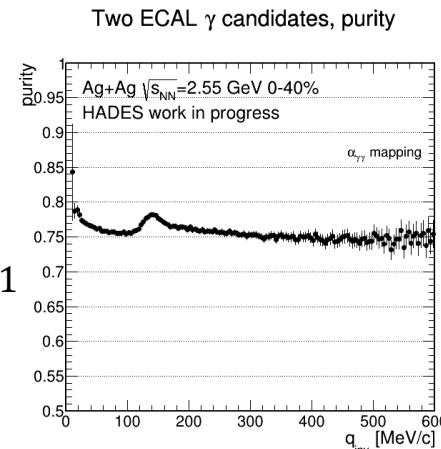
$$q_{\text{inv}} = \sqrt{(\vec{p}_1 - \vec{p}_2)^2 - (E_1 - E_2)^2}$$

statistical uncertainties only

# Photon-photon correlation functions, Ag+Ag at 2.55 GeV

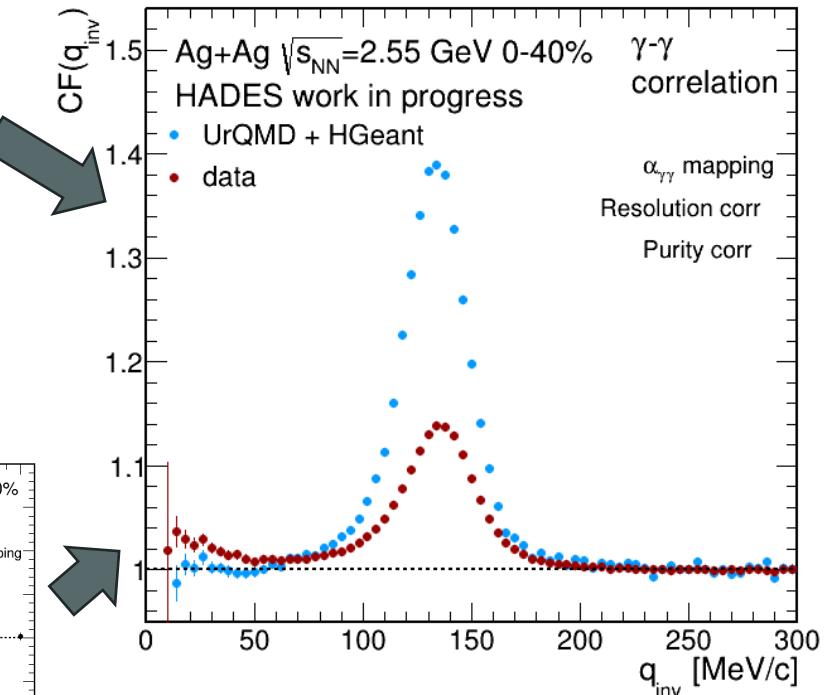
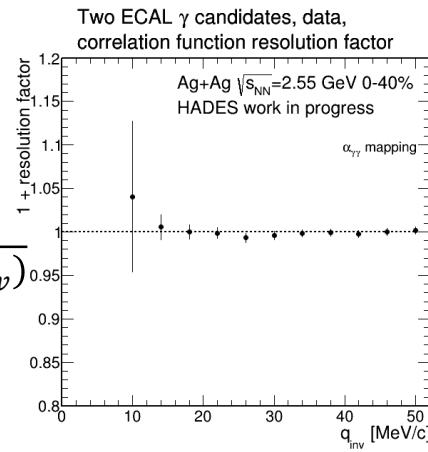
$$purity_{sim}(q_{inv}) = \frac{N_{\gamma\gamma} \text{ pair}(q_{inv})}{N_{\text{any pair}}(q_{inv})}$$

$$CF_{pur corr}(q_{inv}) = \frac{CF(q_{inv}) - 1}{purity(q_{inv})} + 1$$



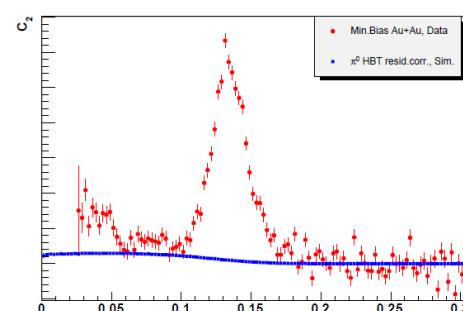
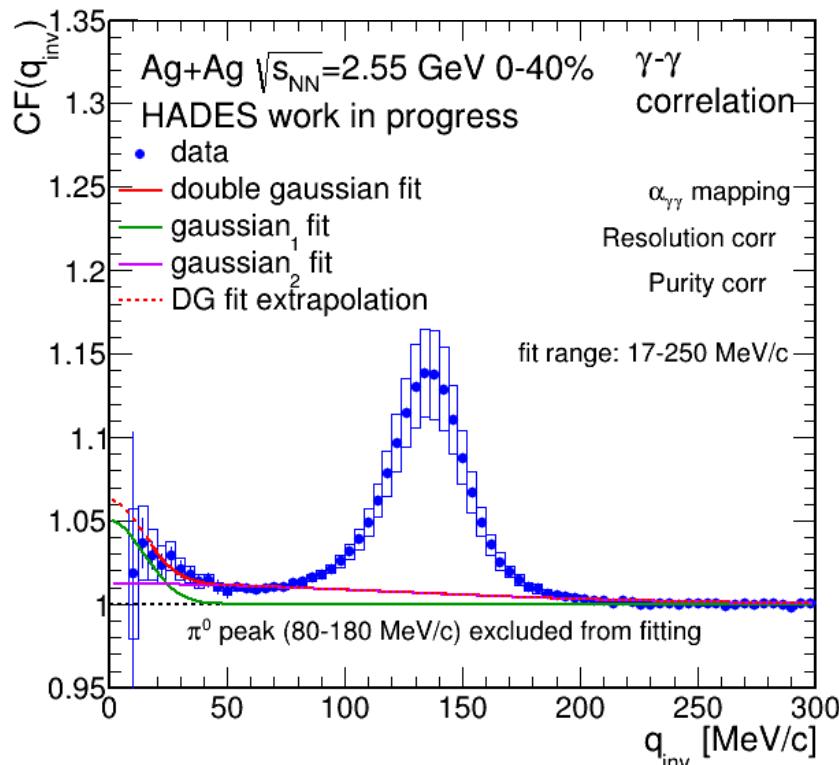
$$1 + res_{sim}(q_{inv}) = \frac{CF_{smeared}(q_{inv})}{CF_{not smeared}(q_{inv})}$$

$$CF_{res corr}(Q_{INV}) = \frac{CF(q_{inv})}{1 + res. factor(q_{inv})}$$

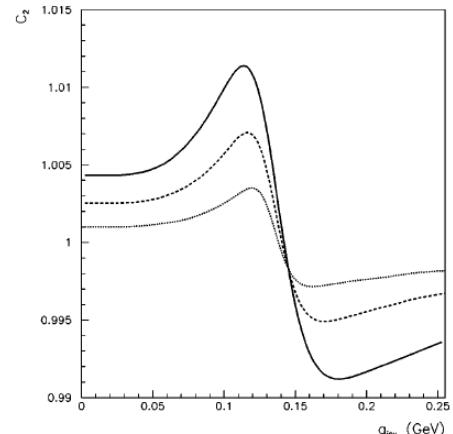


statistical uncertainties only

# Photon-photon CF, Ag+Ag at 2.55 GeV, fits



„Bose-Einstein correlations of direct photons in Au+Au collisions at  $s_{NN} = 200$  GeV“, D. Peressounko for the PHENIX collaboration, International Journal of Modern Physics E

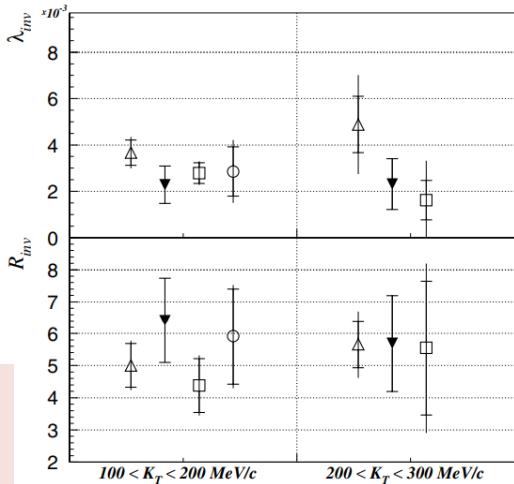
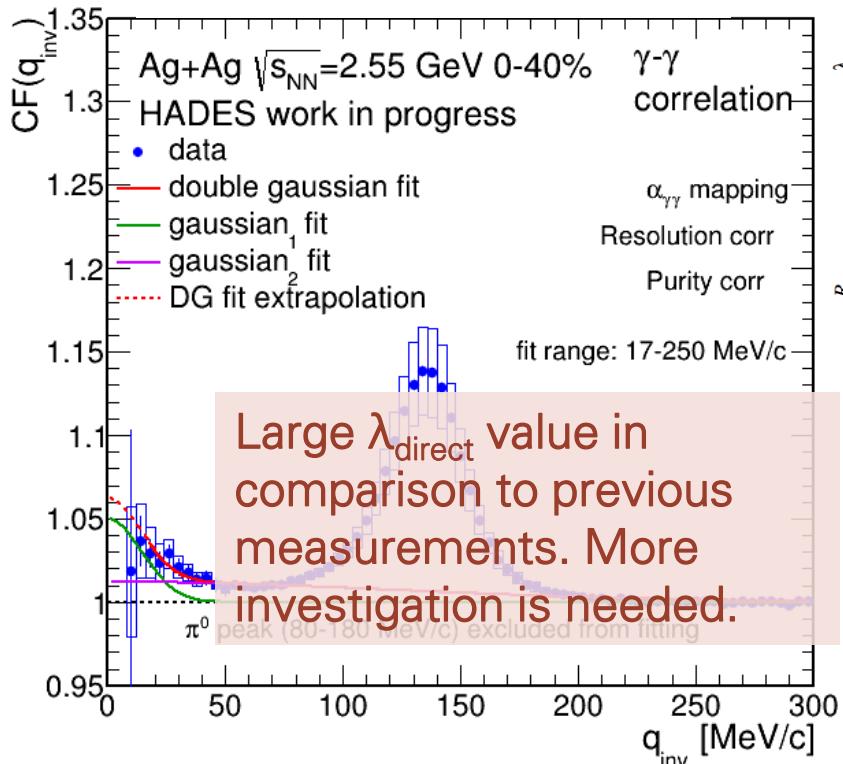


„Hanbury Brown-Twiss interferometry of direct photons in heavy ion collisions“, D. Peressounko PHYSICAL REVIEW C 67, 014905 (2003)

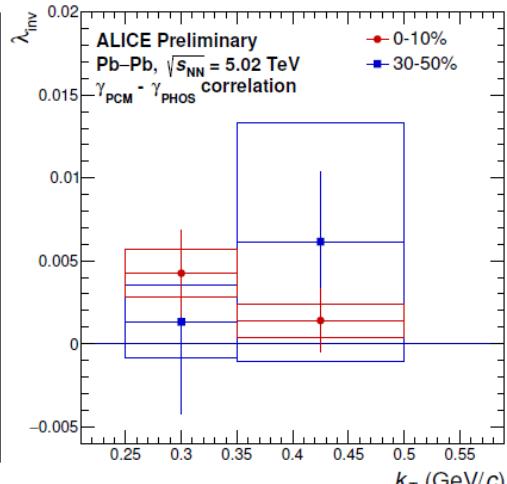
$$CF(q_{inv}) = 1 + \lambda_1 e^{(-q_{inv}^2 R_1^2)} + \lambda_2 e^{(-q_{inv}^2 R_2^2)}$$

variable	value	stat. uncert.	syst. uncert.	syst. uncert. (+ Barlow test)
$R_1$ [fm]	9.605	$\pm 0.911$	$+ 0.779 - 1.253$	$+ 0.426 - 1.096$
$\lambda_1$	0.0502	$\pm 0.0162$	$+ 0.0286 - 0.0361$	$+ 0.0265 - 0.0346$
$R_2$ [fm]	1.166	$\pm 0.016$	$+ 0.134 - 0.159$	$+ 0.133 - 0.157$
$\lambda_2$	0.0121	$\pm 0.0002$	$+ 0.0025 - 0.0019$	$+ 0.0025 - 0.0018$

# Photon-photon CF, Ag+Ag at 2.55 GeV, fits



Interferometry of Direct Photons in Central 208Pb 208Pb Collisions at 158A GeV, Aggarwal, M. M., Physical Review Letters, 93(2). doi:10.1103/physrevlett.93.022301



„DIRECT PHOTON PRODUCTION AND HBT CORRELATIONS IN Pb-Pb COLLISIONS AT  $\sqrt{s_{\text{NN}}} = 5.02 \text{ TeV}$  WITH THE ALICE EXPERIMENT”, Meike Charlotte Danisch on behalf of the ALICE Collaboration, Acta Physica Polonica B Proceedings Supplement 16, 1-A122 (2023)

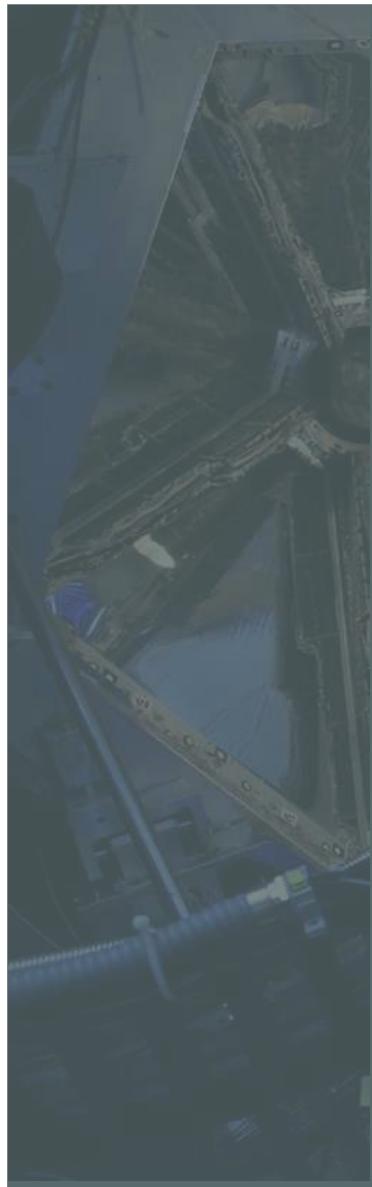
variable	value	stat. uncert.	syst. uncert.	syst. uncert. (+ Barlow test)	
$R_1$ [fm]	9.605	$\pm 0.911$	+ 0.779 - 1.253	+ 0.426 - 1.096	Direct-like $\gamma$ signal
$\lambda_1$	0.0502	$\pm 0.0162$	+ 0.0286 - 0.0361	+ 0.0265 - 0.0346	
$R_2$ [fm]	1.166	$\pm 0.016$	+ 0.134 - 0.159	+ 0.133 - 0.157	Neutral $\pi$ - $\pi$ residual
$\lambda_2$	0.0121	$\pm 0.0002$	+ 0.0025 - 0.0019	+ 0.0025 - 0.0018	

# Summary & Outlook

- Photon correlation functions at low collision energy were achieved using HADES's calorimeters, with full systematical analysis as well.
- Expected HBT-like signal was observed for  $q_{\text{inv}} < 50 \text{ MeV}/c$ , with additional contribution most likely coming from  $\pi^0 - \pi^0$  residua correlation
- The HBT parameters were extracted, although they suffer from high systematical uncertainty due to fitting variation differences.  $\lambda_{\text{direct}}$  parameter shows higher than expected value. Additional study to explain such phenomenon is needed.



Thank you for your attention!



**Don Quixote's quest continues!**

# Backup

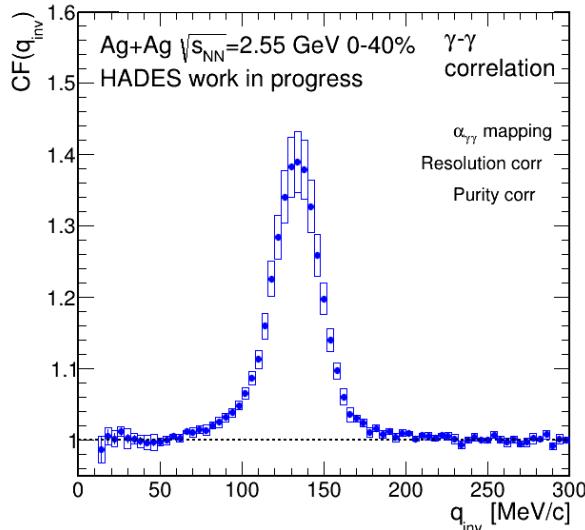
# Photon-photon CF, Ag+Ag at 2.55 GeV, systematics

Single particle	Default value	variation	
No matching to charged track	> 6	$\pm 2$	Strength of charged particle's VETO
Opening angle with any charged track	$< 2.8^\circ$	$\pm 0.8^\circ$	Contribution from charged particles not matched with clusters
Minimal energy in module	> 50 MeV	$\pm 20$ MeV	Minimal energy resolution
No for $\beta$	< 1	$\pm 0.5$	Contamination from other (fast) particles

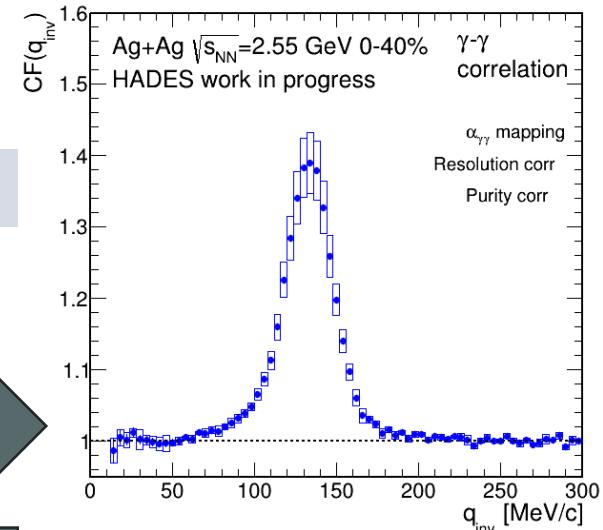
  

Pair	Default value	variation	
Opening angle mapping	> value from map	$\pm 10\%$	Stability/strength of two track effects correction
Resolution correction	value from function	$\pm 10\%$	Impact of resolution correction
Purity correction	value from function	$\pm 10\%$	Impact of purity correction

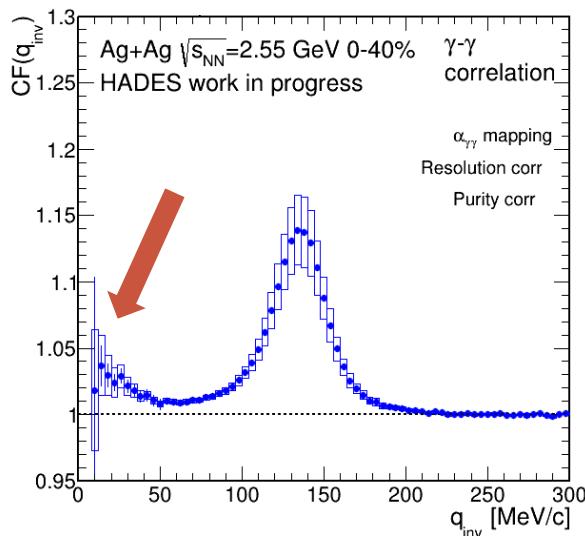
# Photon-photon CF, Ag+Ag at 2.55 GeV, systematics



UrQMD + HGeant



„Barlow test“



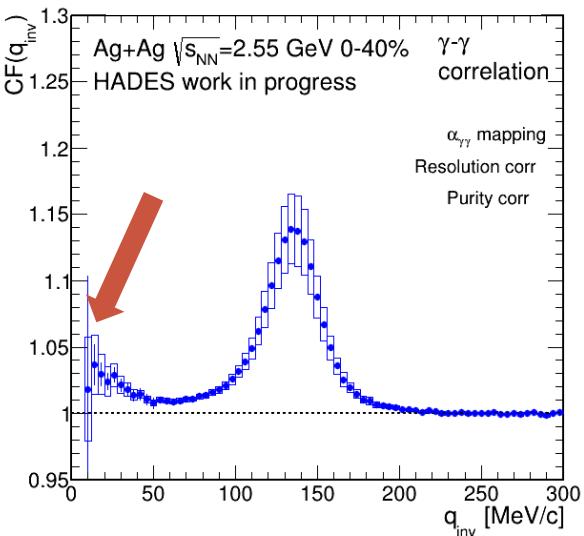
$$diff = CF_{default} - CF_{var}, \quad \sigma_{diff} = \sqrt{|stat_{def}^2 - stat_{var}^2|}$$

$$\text{If } diff < \sigma_{diff}, \text{ sys} = 0. \text{ Else, } sys = \sqrt{diff^2 - \sigma_{diff}^2}$$

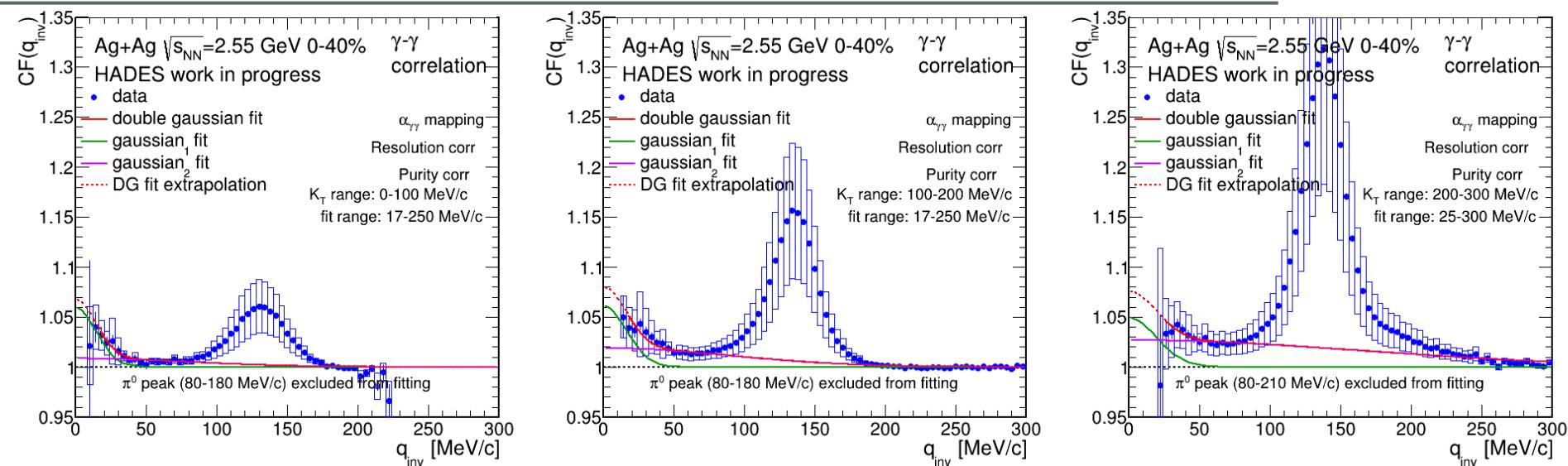
$$sys_{total} = \sqrt{(sys_{var1}^2 + sys_{var2}^2 + \dots + sys_{varn}^2)}$$

data

Very subtle change  
introduced by Barlow test →  
small impact of statistics on  
data points



# Photon-photon CF, Ag+Ag at 2.55 GeV, fits, $K_T$ bins



$K_T$ [MeV/c]	variable	value	stat. uncert.	syst. uncert.	syst. uncert. (+ Barlow test)
0-100	$R_1$ [fm]	9.646	$\pm 1.184$	+ 0.618 - 0.684	+ 0 - 0 (failed)
	$\lambda_1$	0.0589	$\pm 0.0210$	+ 0.0434 - 0.0570	+ 0.0361 - 0.0511
100-200	$R_1$ [fm]	8.601	$\pm 0.553$	+ 1.002 - 1.257	+ 0.778 - 1.112
	$\lambda_1$	0.0609	$\pm 0.0125$	+ 0.0543 - 0.0676	+ 0.0501 - 0.0645
200-300	$R_1$ [fm]	7.164	$\pm 0.851$	+ 1.204 - 0.814	+ 0.564 - 0.195
	$\lambda_1$	0.0489	$\pm 0.0217$	+ 0.0590 - 0.0542	+ 0.0494 - 0.0434