



Sofia University
St. Kliment Ohridski



ALICE

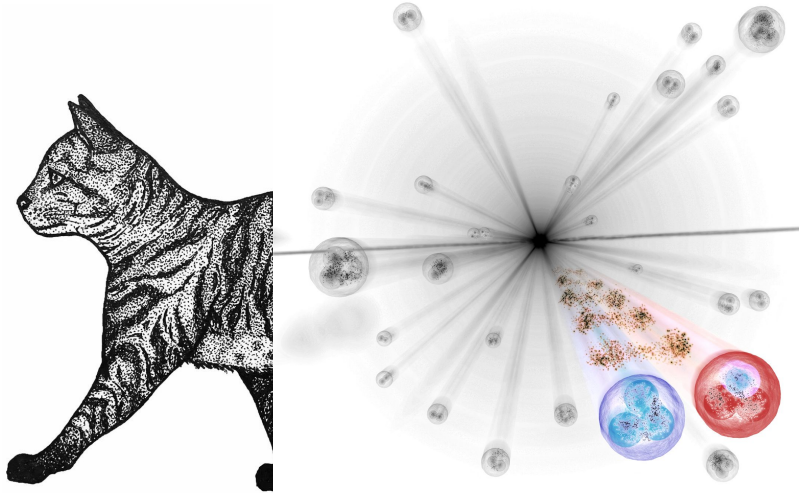
Overview of Femtoscopic Studies in Small Collision Systems

Dimitar Mihaylov

17th Workshop on Particle Correlations and Femtoscopy
4th November 2024, Toulouse

Part 1: The emission source in small systems

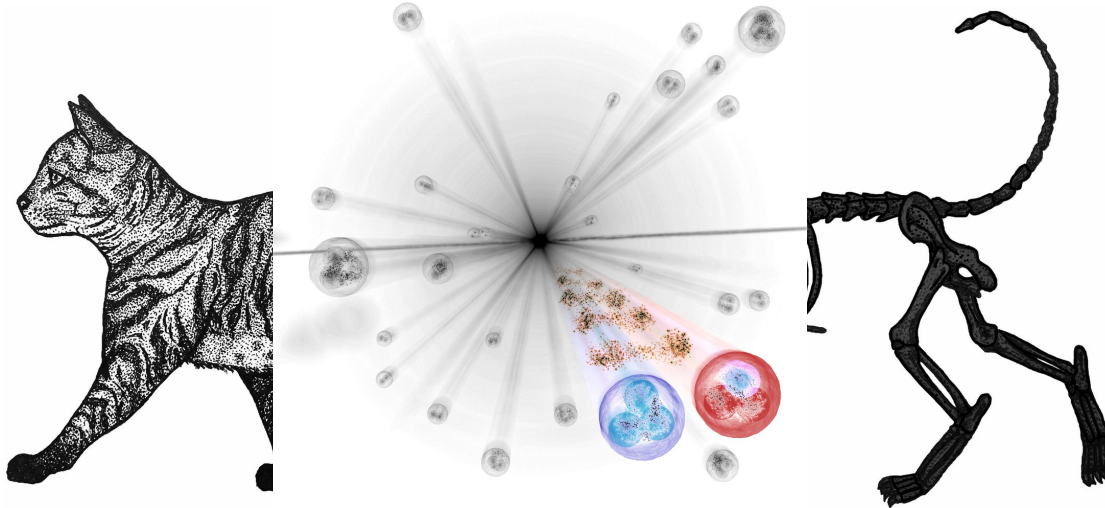
Dimitar Mihaylov



17th Workshop on Particle Correlations and Femtoscopy
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Part 2: Connecting femtoscopy and coalescence

Dimitar Mihaylov

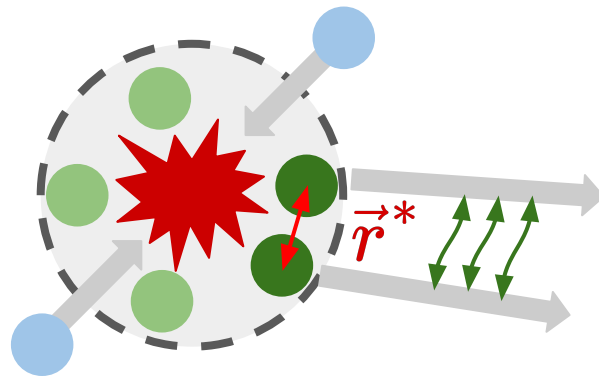


17th Workshop on Particle Correlations and Femtoscopy
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Femtoscscopy @ LHC

Koonin-Pratt equation

[Lisa et al.](#)
[Ann.Rev.Nucl.Part.Sci.55:357-402, 2005](#)



two-particle relative momentum
 $q = 2 \cdot k^*$

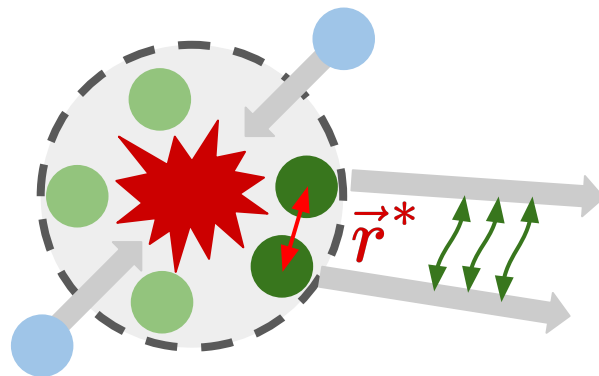
$\Psi(\vec{k}^*, \vec{r}^*)$
two-particle wave function

$$C(k^*) = \frac{N_{\text{SE}}(k^*)}{N_{\text{ME}}(k^*)} = \int S(r^*) \left| \Psi(\vec{k}^*, \vec{r}^*) \right|^2 d^3 r^* \xrightarrow{k^* \rightarrow \infty} 1$$

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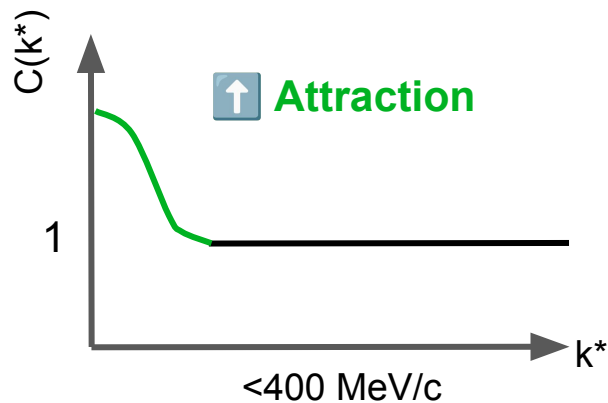
[Lisa et al.](#)
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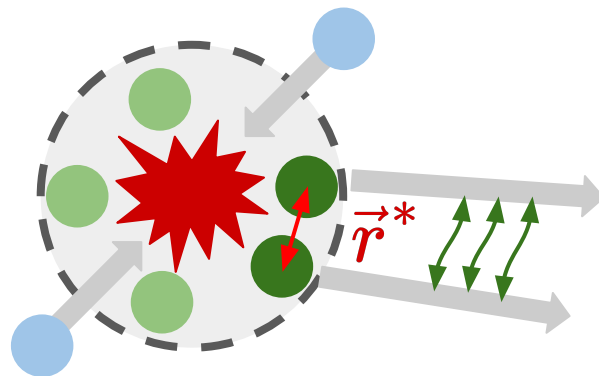
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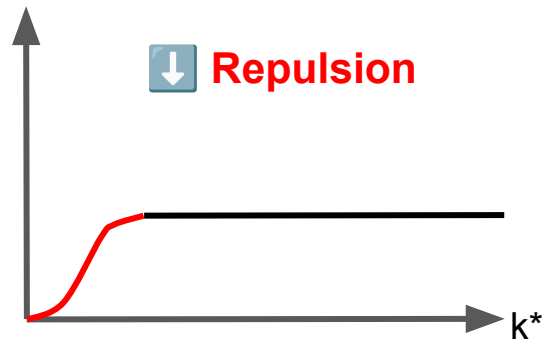
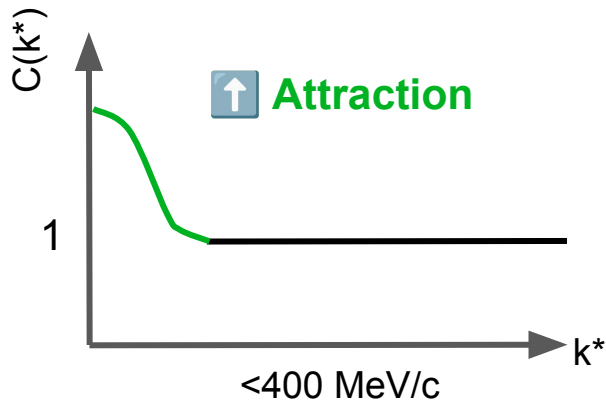
[Lisa et al.](#)
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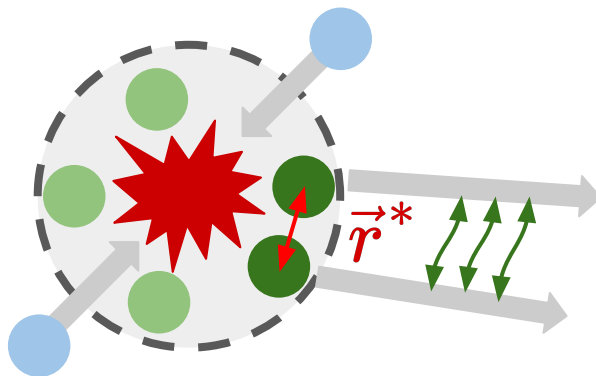
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Femtoscscopy @ LHC

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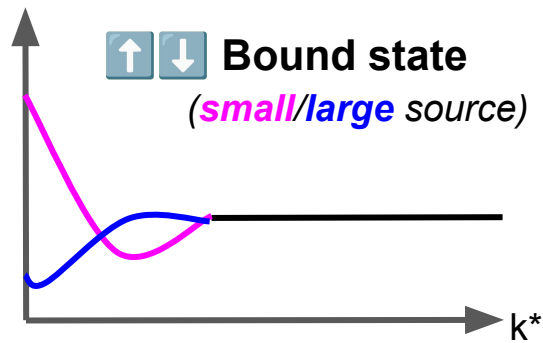
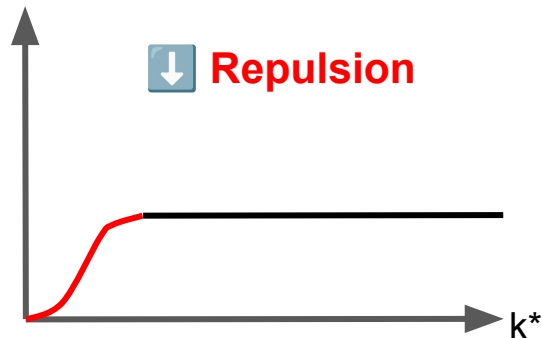
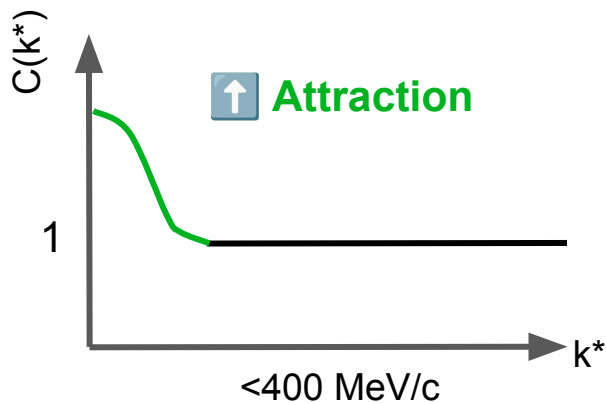
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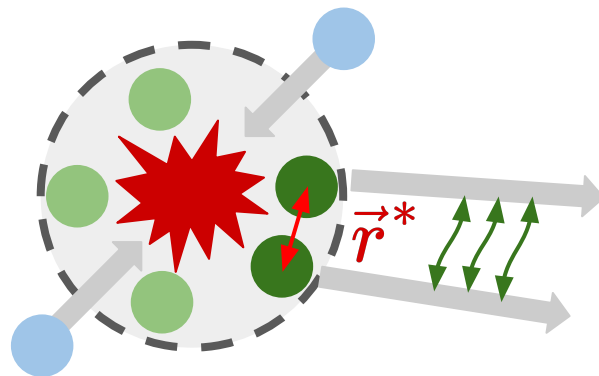
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Femtoscscopy @ LHC

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Measure

$$C(k^*) = \frac{N_{SE}(k^*)}{N_{ME}(k^*)} = \int S(r^*) \left| \Psi(\vec{k}^*, \vec{r}^*) \right|^2 d^3 r^* \xrightarrow{k^* \rightarrow \infty} 1$$

Study the strong interaction

FIX



Femtoscscopy @ LHC

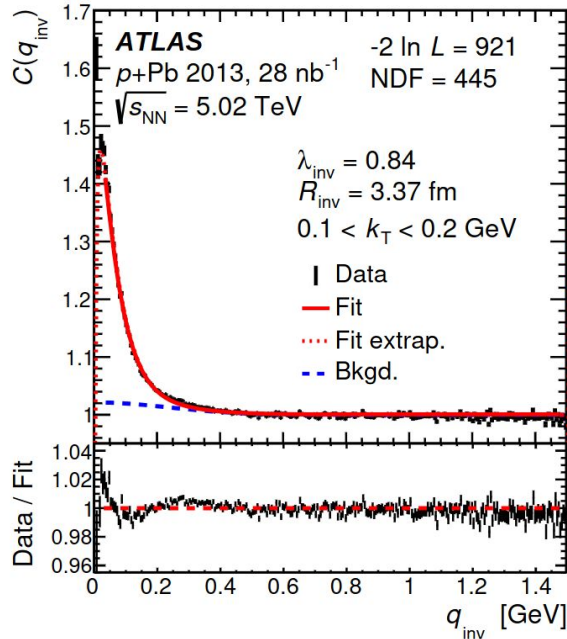
$\pi\pi$ correlations



p -Pb collisions @ 5.02 TeV

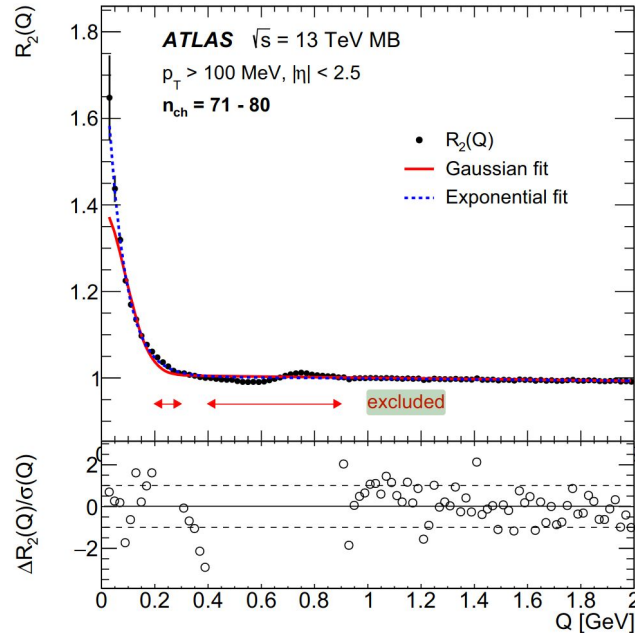
20-30% centrality

[PRC 96 \(2017\) 6. 064908](#)



pp collisions @ 13 TeV

[EPJC 82 \(2022\) 7. 608](#)



- $\pi\pi$ correlations well described by a **Cauchy source** (exp. correlation) in small coll. systems

- Also measured by
CMS [JHEP 03 \(2020\) 014](#)
LHCb [JHEP 12 \(2017\) 025](#)



- Equivalent studies and use of Lévy distribution in HI collisions by **CMS**
[PRC 109 \(2024\) 2](#)



- **The non-Gaussian profile (in small systems) may be related to production from resonances**

Femtoscscopy @ LHC

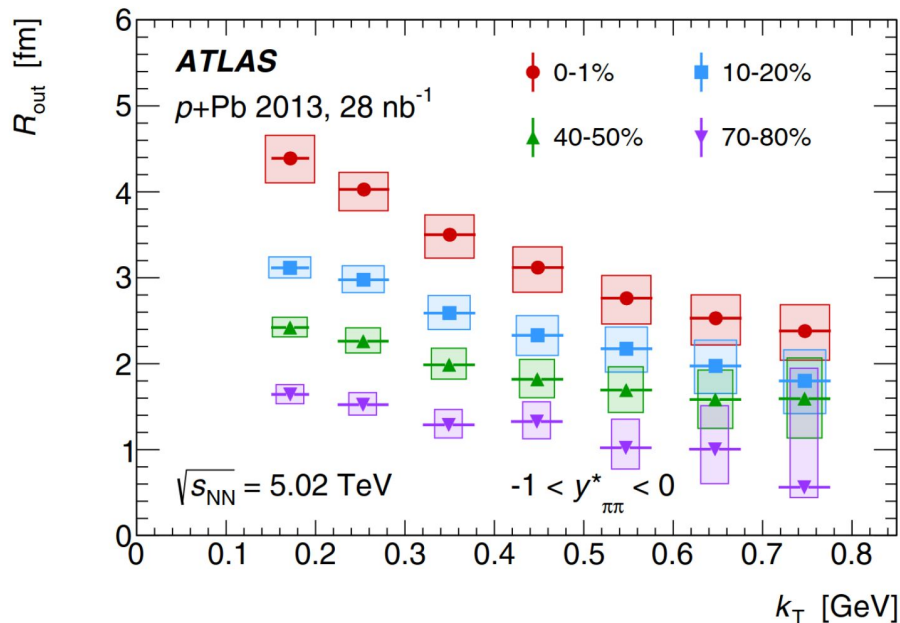
Emission source

- k_T (m_T) scaling observed in p-Pb and Pb-Pb collision and associated with collectivity

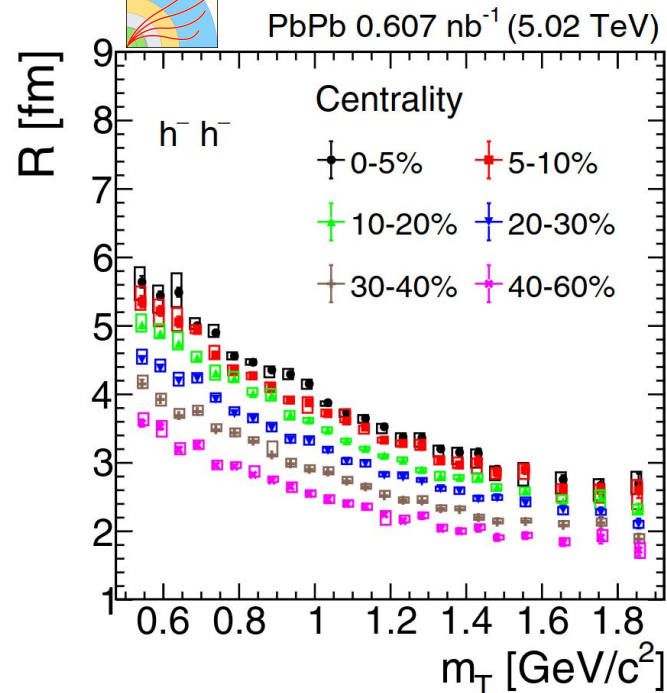


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[PRC 96 \(2017\) 6. 064908](#)

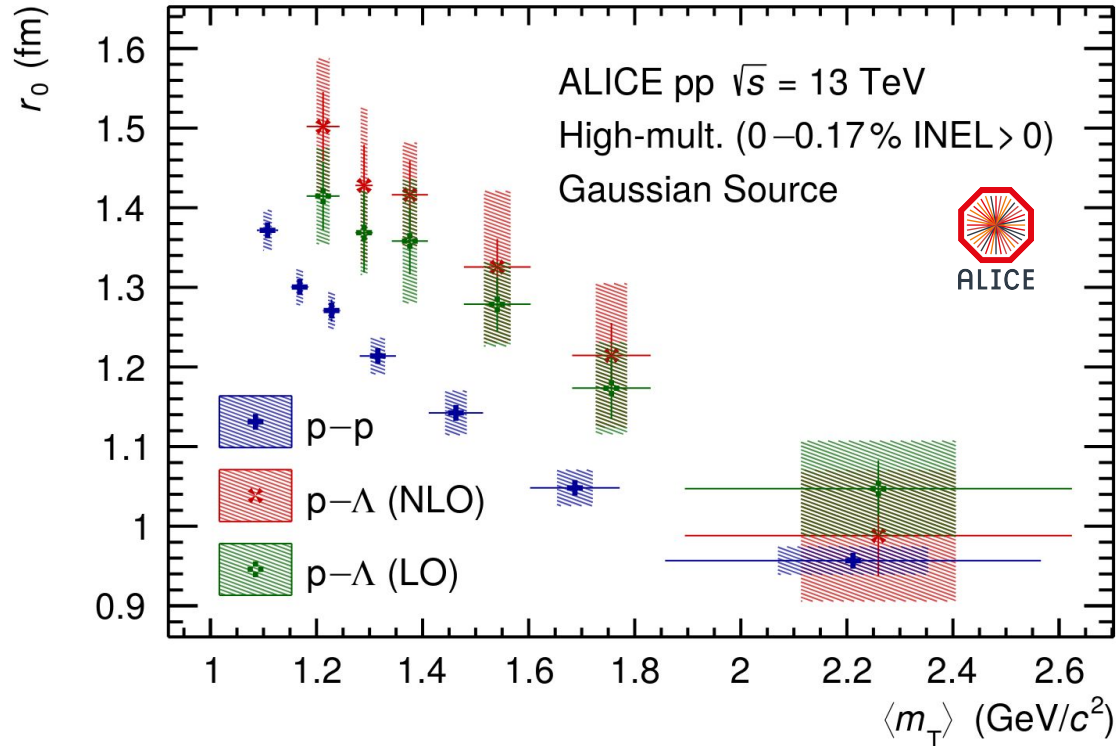


[PRC 109 \(2024\) 2](#)



Femtoscscopy @ ALICE

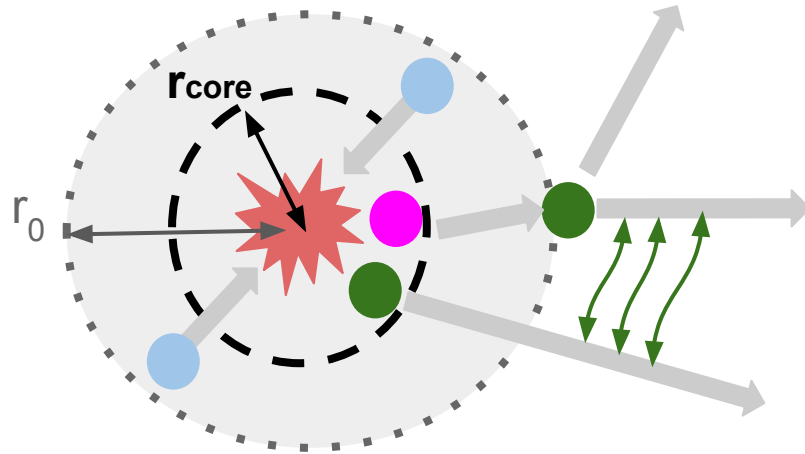
In small collision systems (pp)



- Study of the pp and pΛ, using a Gaussian source, revealed mT scaling. The source size is different for different species.

Femtoscscopy @ ALICE

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- **A hypothesis:**

Gaussian “primordial core” **common for all species** modified by decays of short lived resonances.

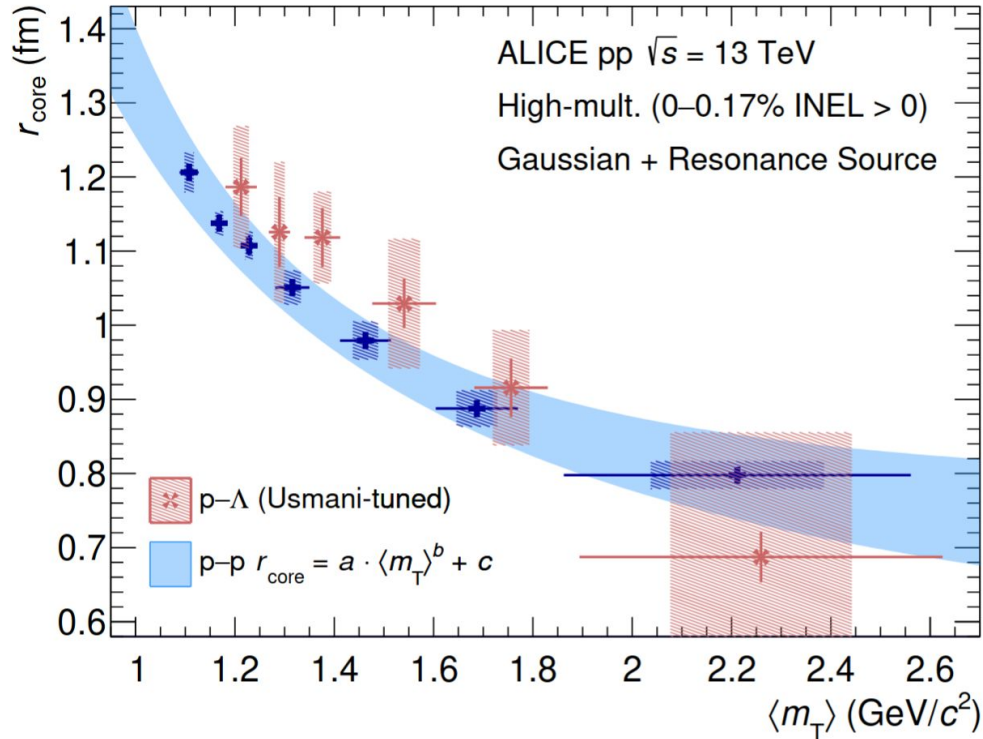
Based on statistical hadronization model $\frac{2}{3}$ of all protons and Λ s are produced like that. Resonances decaying into Λ s, on average, live longer.

$\langle\tau\rangle$ for protons c.a. 1.7 fm/c

$\langle\tau\rangle$ for Λ s c.a. 4.7 fm/c

Femtoscscopy @ ALICE

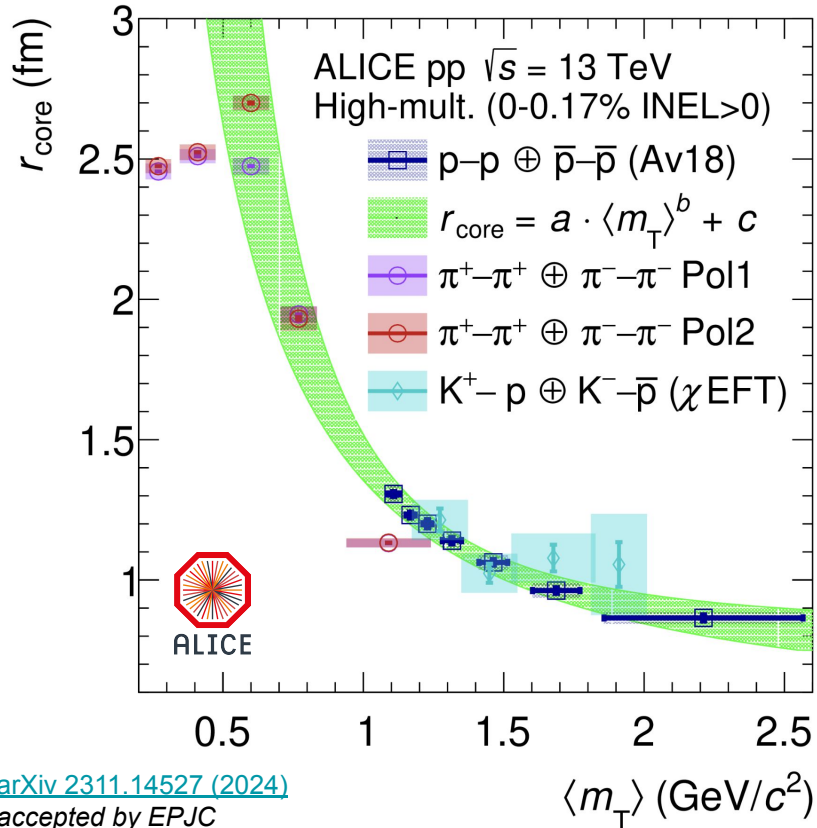
In small collision systems (pp)



- Study of the pp and p Λ , using a Gaussian source, revealed mT scaling. The source size is different for different species.
- The **breakthrough** of the Resonance Source Model (RSM)
A “primordial core” **common for all species** modified by decays of short lived resonances.
- Any baryon-baryon pair will follow this scaling, and the source size can be extracted based on the $\langle m_T \rangle$ of the measured pairs!
- This allows for **precision studies of the strong interaction.**

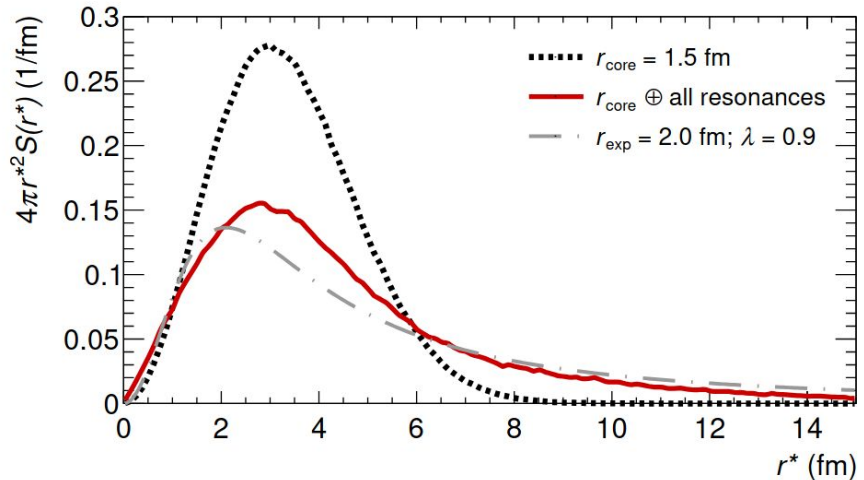
Femtoscscopy @ ALICE

In small collision systems (pp)



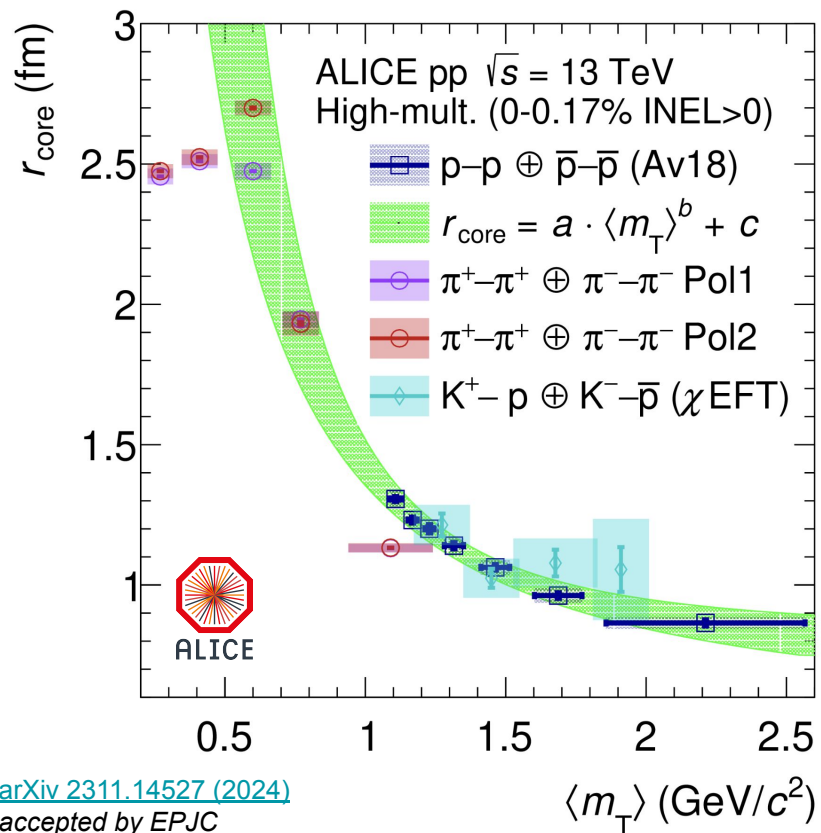
[arXiv 2311.14527 \(2024\)](https://arxiv.org/abs/2311.14527)
accepted by EPJC

- The validity extended to mesons!
- The Cauchy $\pi\pi$ source explained by the combination of Gaussian core + short lived resonances.



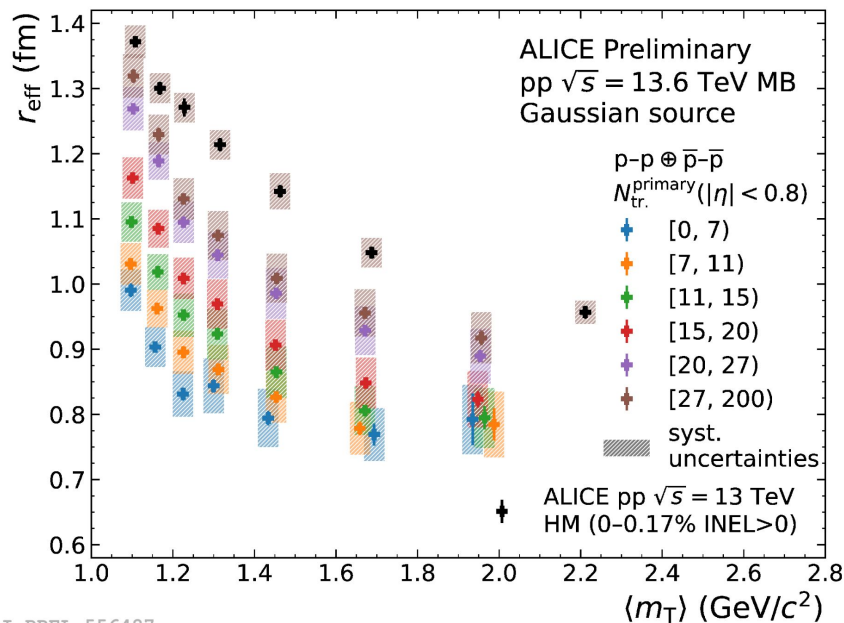
Femtoscscopy @ ALICE

In small collision systems (pp)



[arXiv 2311.14527 \(2024\)](https://arxiv.org/abs/2311.14527)
accepted by EPJC

New RUN3 results for pp correlations in pp collisions at 13.6 TeV



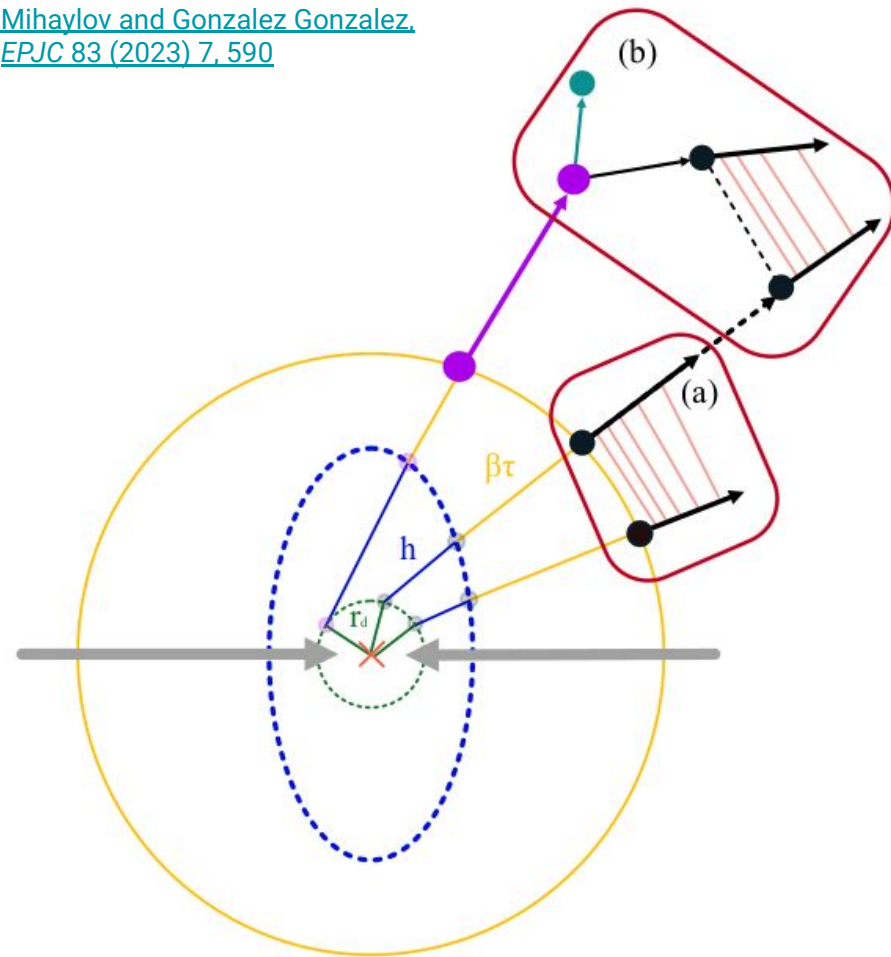
ALI-PREL-556487

The CECA model

A generalization of the RSM

- MC simulation of single particles and resonances.

[Mihaylov and Gonzalez Gonzalez,
EPJC 83 \(2023\) 7, 590](#)

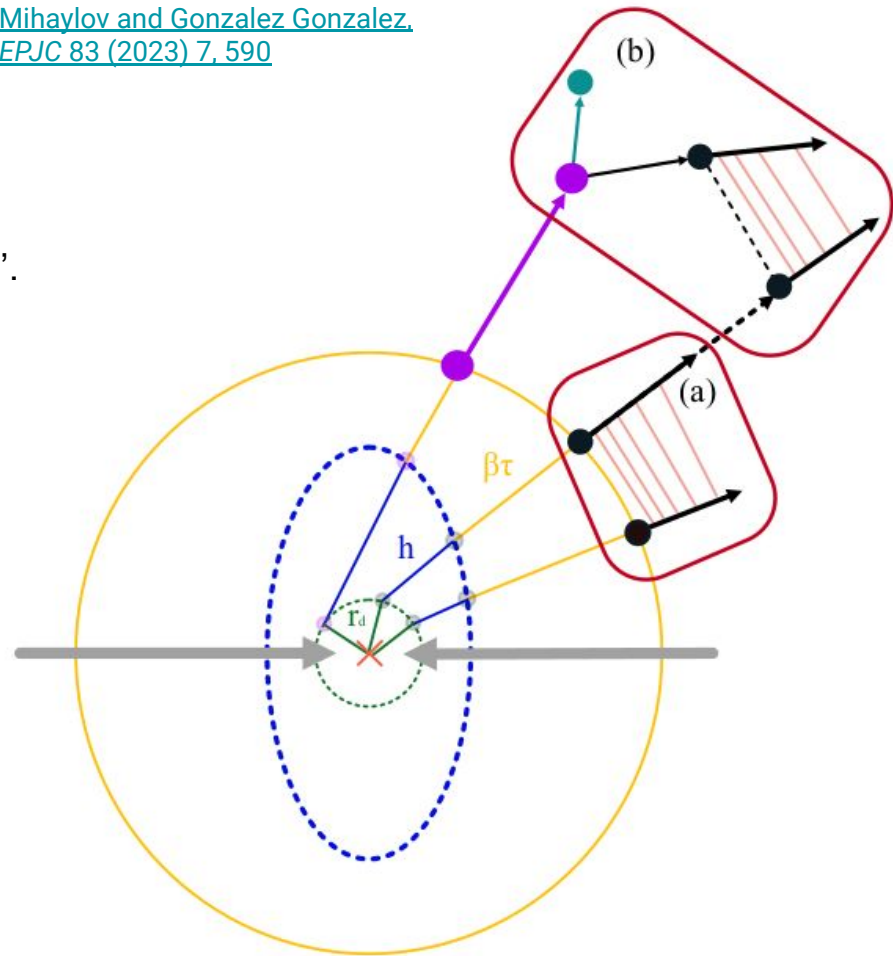


The CECA model

A generalization of the RSM

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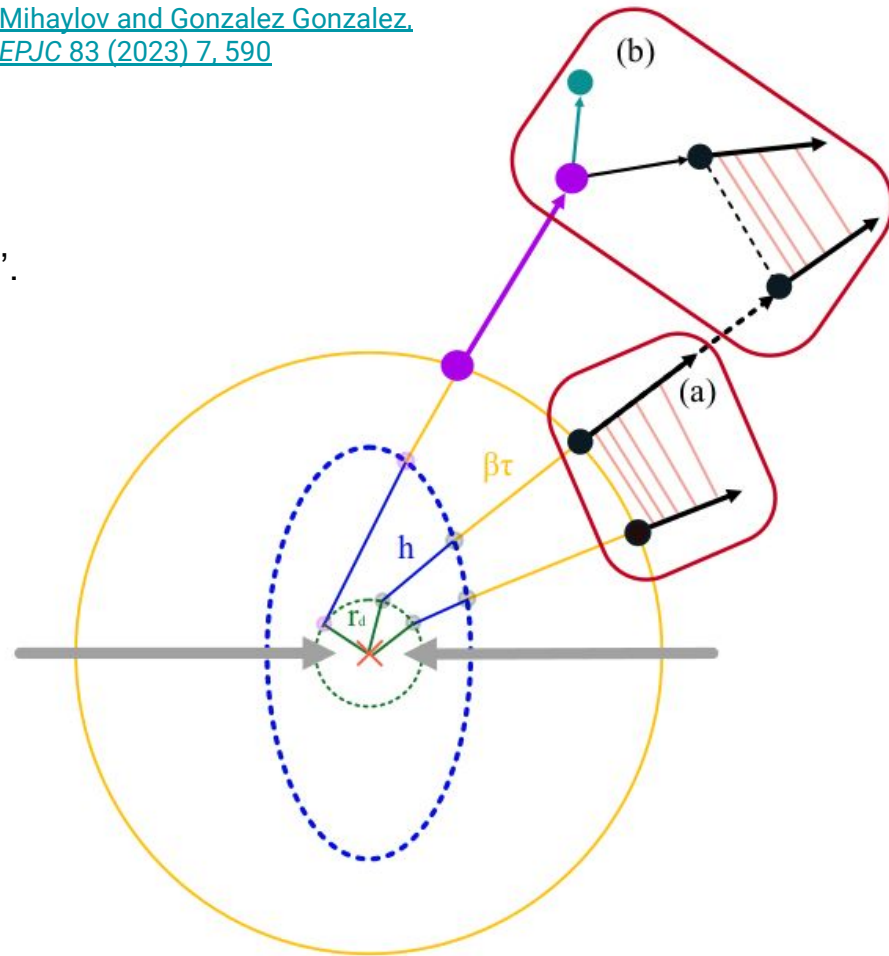


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- Decay the resonances and form pairs, extract the corresponding 2- and N-particle source.

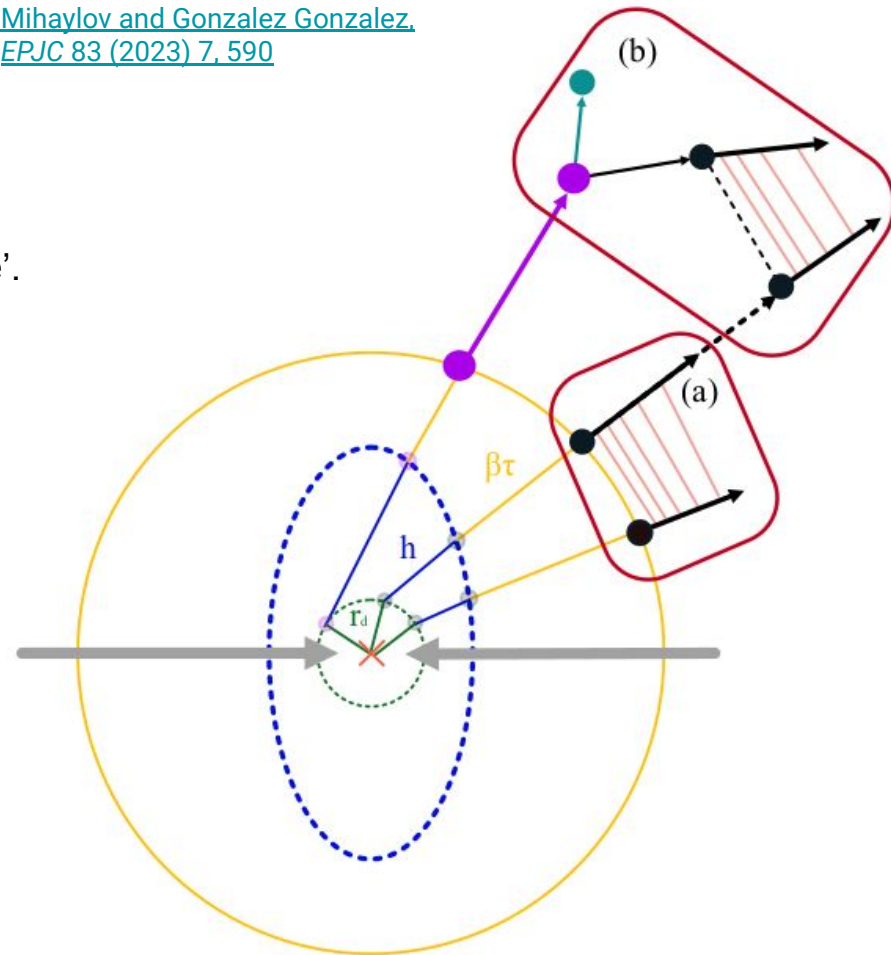
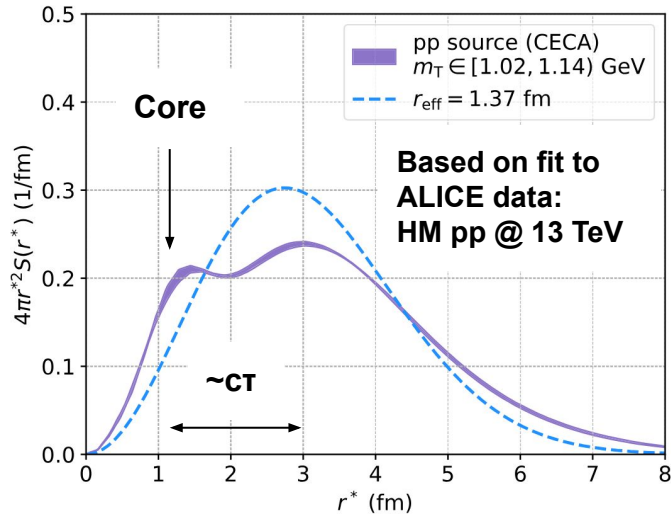
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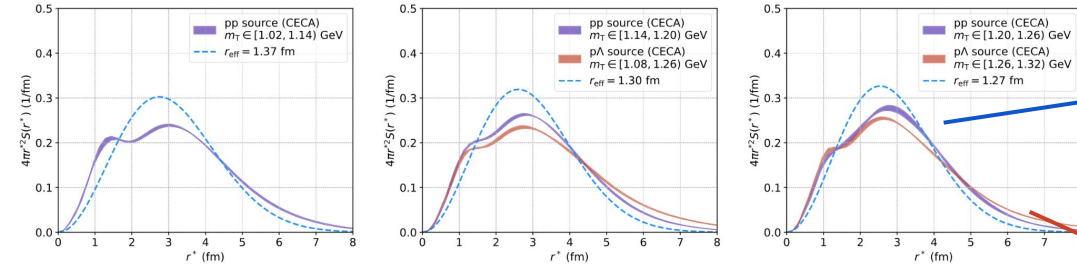
The resulting pp source

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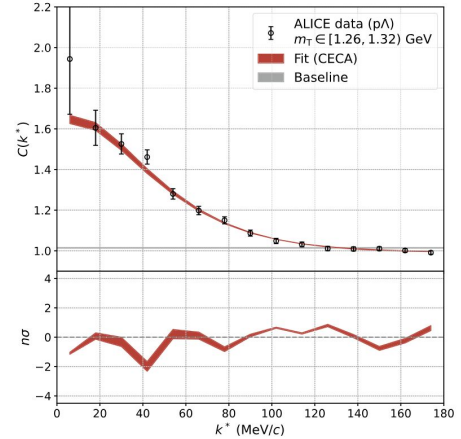
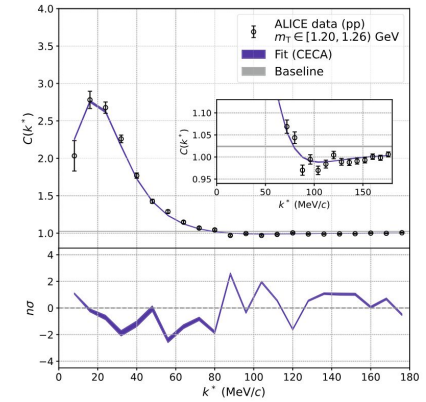
The CECA model

Simultaneous fit of pp and pA



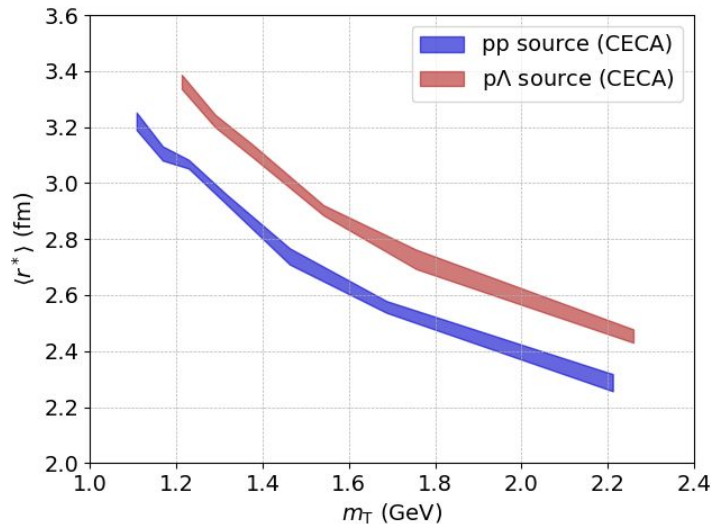
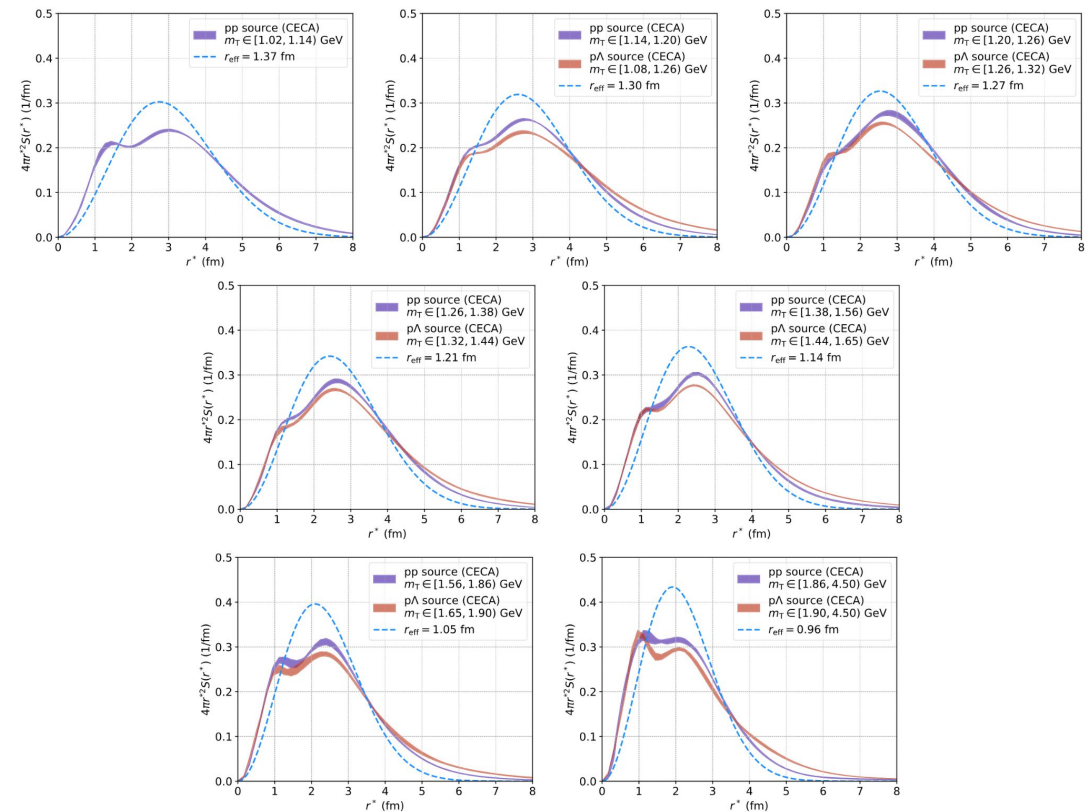
pp

pA



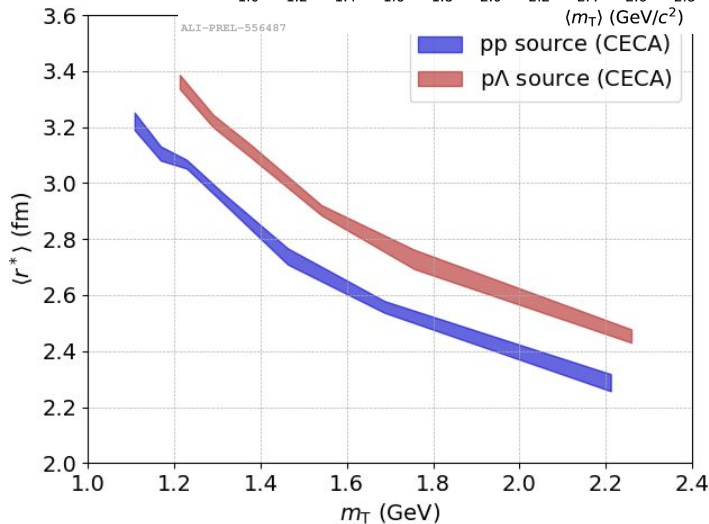
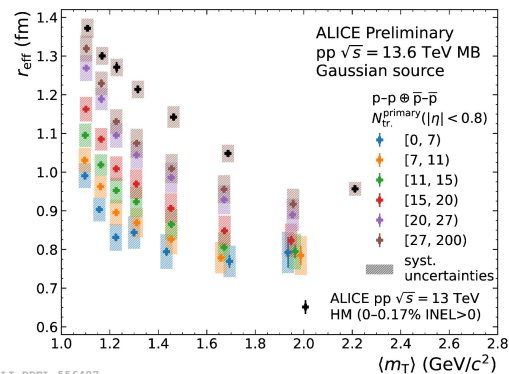
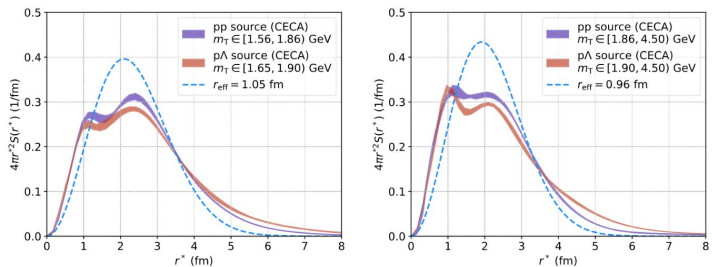
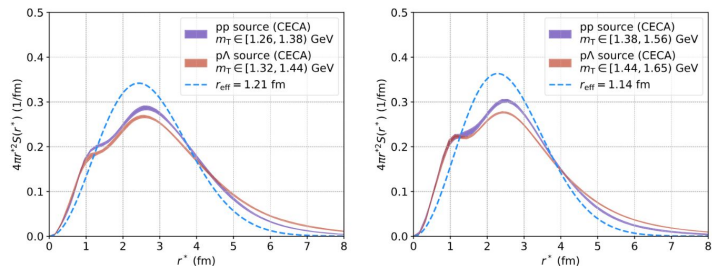
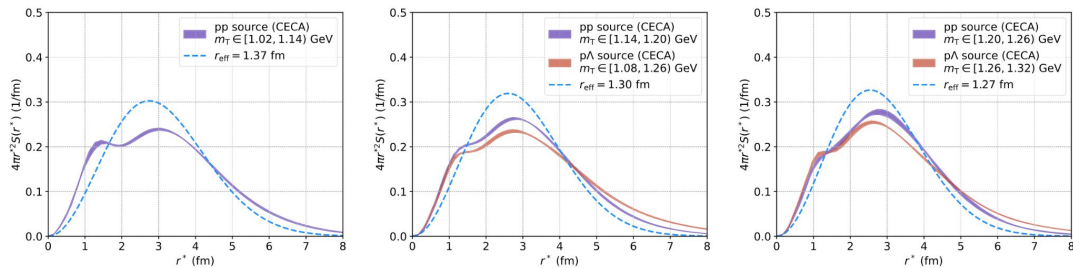
The CECA model

A generic m_T scaling



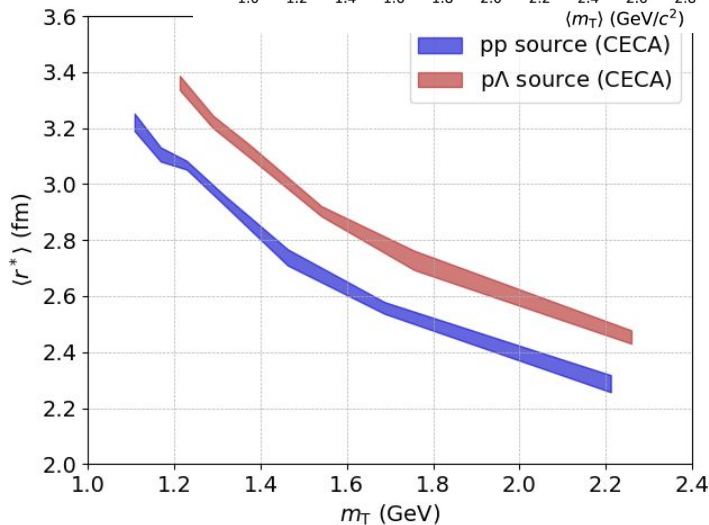
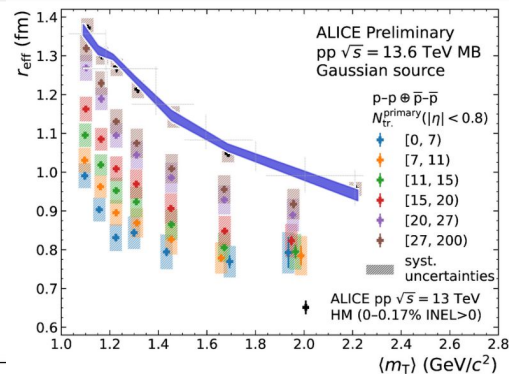
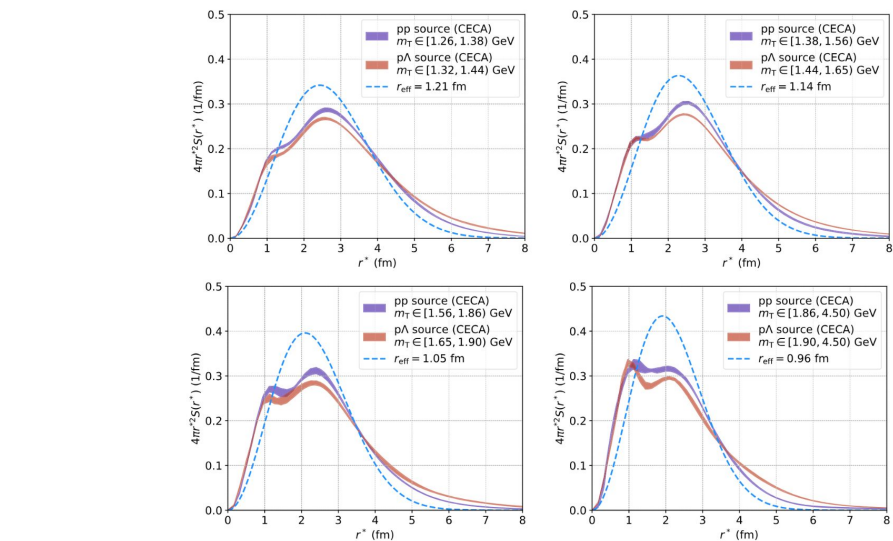
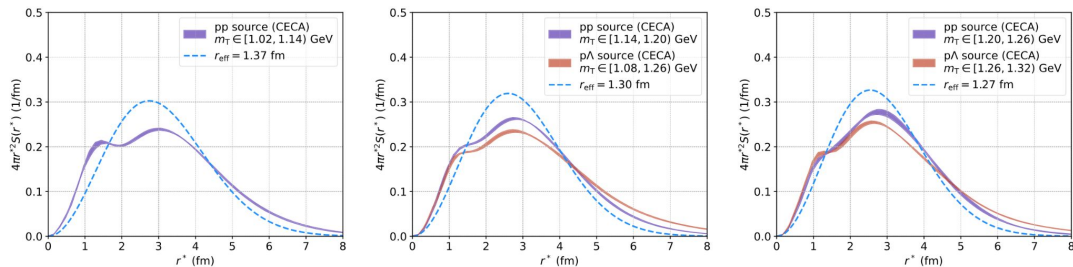
The CECA model

An open question: Can we reproduce the saturation of the ALICE RUN3 data?



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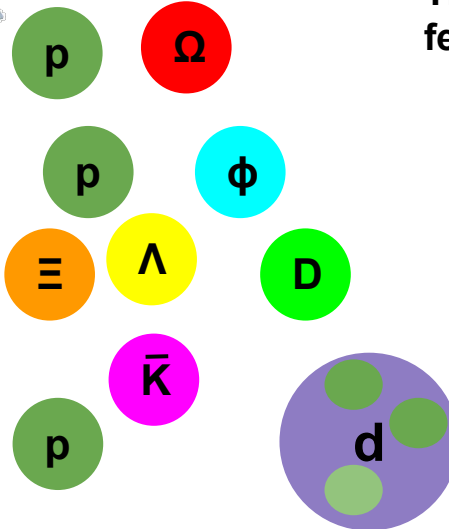
And so much more was done !

Low energy scattering experiments in high energy collisions @



ALICE

The exhaustive list of recent ALICE femtoscopy measurements



[PRC 99 \(2019\) 2. 024001](#)
[PLB 797 \(2019\). 134822](#)
[PRL 123 \(2019\). 112002](#)
[PRL 124 \(2020\) 092301](#)
[PLB 805 \(2020\). 135419](#)
[PLB 811 \(2020\). 135849](#)
[Nature 588 \(2020\) 232-238](#)
[PRL 127 \(2021\). 172301](#)
[PLB 822 \(2021\) 136708](#)
[PRC 103 \(2021\) 5. 055201](#)
[PLB 833 \(2022\). 137272](#)
[PLB 829 \(2022\). 137060](#)
[PRD 106 \(2022\) 5. 052010](#)
[PLB 833 \(2022\) 137335](#)
[PLB 844 \(2022\). 137223](#)
[EPJA 59 \(2023\) 7. 145](#)
[EPJA 59 \(2023\) 12. 298](#)
[EPJC 83 \(2023\) 4. 340](#)
[PLB 845 \(2023\). 138145](#)
[PRX 14 \(2024\) 3. 031051](#)

- p-p, p- Λ , Λ - Λ (methods)
- Λ - Λ
- p- Ξ
- p-K
- p- Σ
- p-p, p- Λ
- p- Ξ , p- Ω
- p- ϕ
- p-K
- Λ -K
- p- Λ
- baryon-(anti)baryon
- p-D
- K0-K0, Kch-K0
- Λ - Ξ
- p-p-p, p-p- Λ
- p-p-K
- p-K
- Λ -K
- p-d, K-d

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Low energy scattering experiments in high energy collisions @

ALICE

Small collision systems from @ the WPCF

Novel constraints for the multi-strange meson-baryon interaction using correlations
by Oton Vazquez Doce, Tue @ 9:00

Accessing the strong interaction in three-hadron systems via proton-deuteron femtoscopy
by Bhawani Singh, Wed @ 14:10

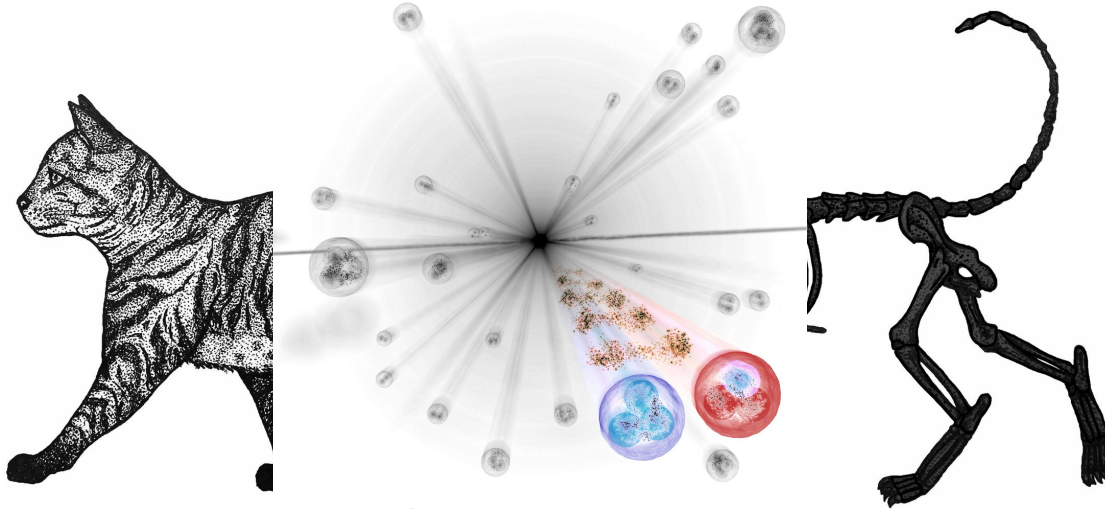
Chiral symmetry restoration studies with Femtoscopy
by Maximillian Korwieser, Thu @ 15:55

Demystifying the interior of neutron stars with femtoscopy at ALICE
by Marcel Lesch, Fri @ 13:55

exhaustive list of recent ALICE oscopy measurements

PRC 99 (2019) 2. 024001	p-p, p- Λ , Λ - Λ (methods)
PLB 797 (2019). 134822	Λ - Λ
PRL 123 (2019). 112002	p- Ξ
PRL 124 (2020) 092301	p-K
PLB 805 (2020). 135419	p- $\Sigma 0$
PLB 811 (2020). 135849	p-p, p- Λ
Nature 588 (2020) 232-238	p- Ξ , p- Ω
PRL 127 (2021). 172301	p- ϕ
PLB 822 (2021) 136708	p-K
PRC 103 (2021) 5. 055201	Λ -K
PLB 833 (2022). 137272	p- Λ
PLB 829 (2022). 137060	baryon-(anti)baryon
PRD 106 (2022) 5. 052010	p-D
PLB 833 (2022) 137335	K0-K0, Kch-K0
PLB 844 (2022). 137223	Λ - Ξ
EPJA 59 (2023) 7. 145	p-p-p, p-p- Λ
EPJA 59 (2023) 12. 298	p-p-K
EPJC 83 (2023) 4. 340	p-K
PLB 845 (2023). 138145	Λ -K
PRX 14 (2024) 3. 031051	p-d, K-d

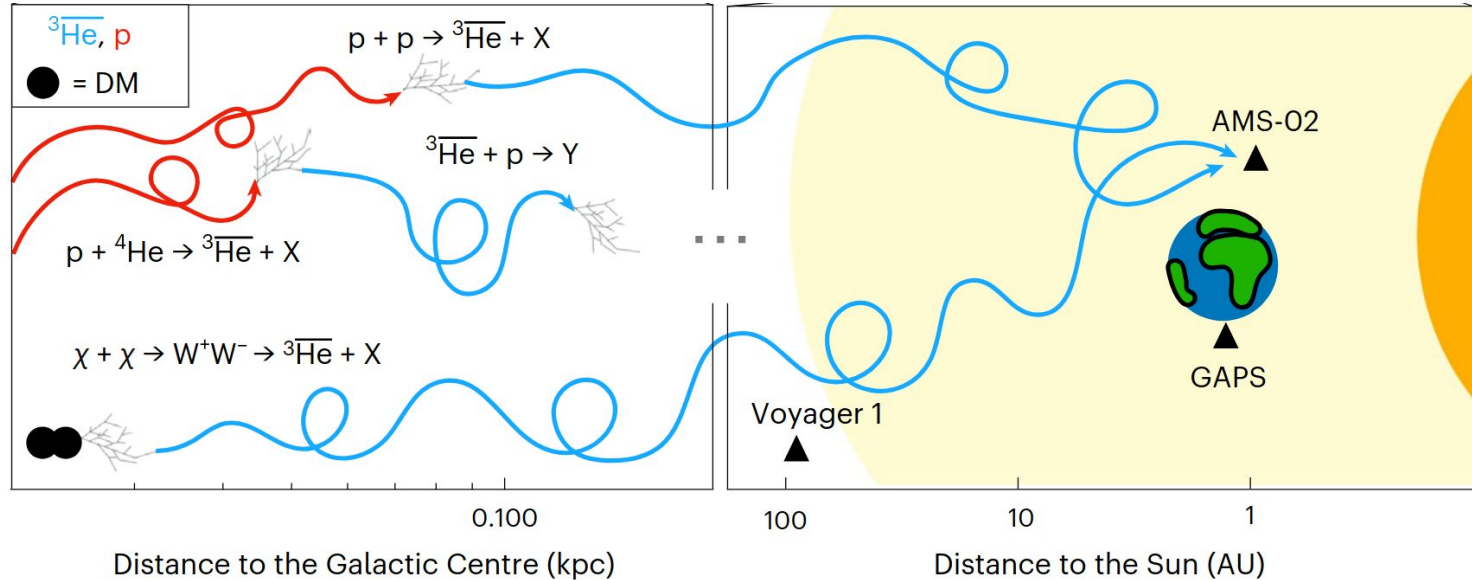
Part 2: Connecting femtoscopy and coalescence



Coalescence studies for light nuclei

Motivation: Indirect search for dark matter

ALICE Coll, [Nature Physics](#)
volume 19, pages 61–71 (2023)

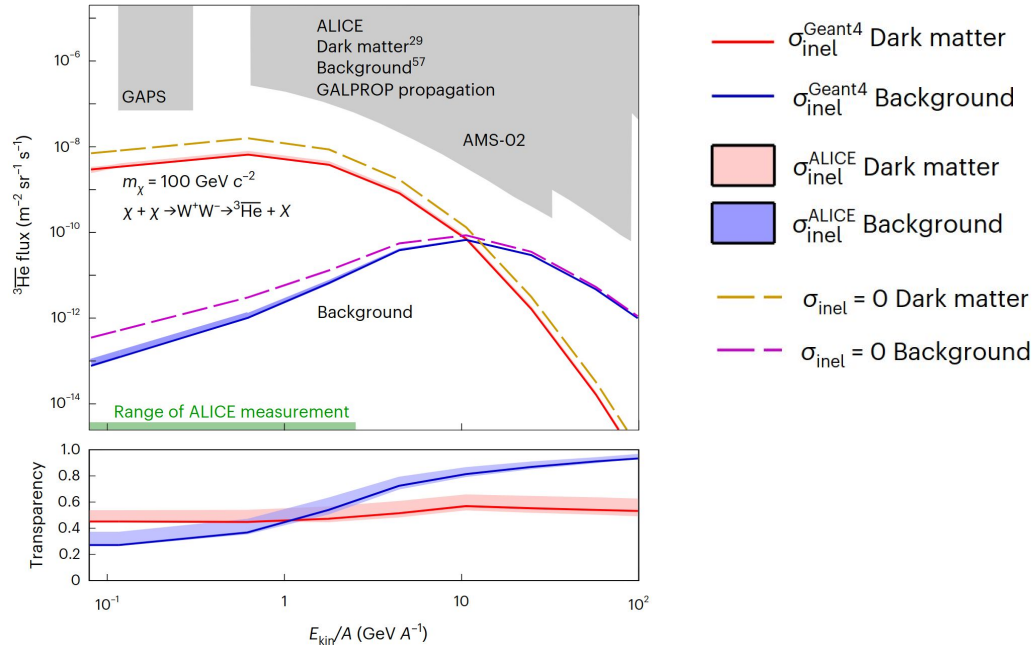


- Antinuclei cosmic rays: possible “smoking gun” signature of dark matter
- Essentially free of **astrophysical background**
- **Calculations require antinuclei production/annihilation**

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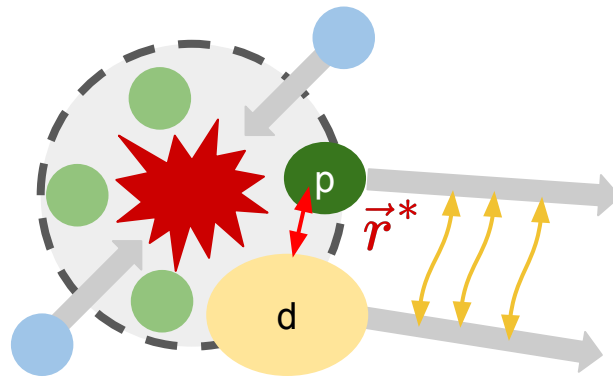
ALICE Coll, [Nature Physics](#)
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Femtoscscopy @ LHC

p-d correlations



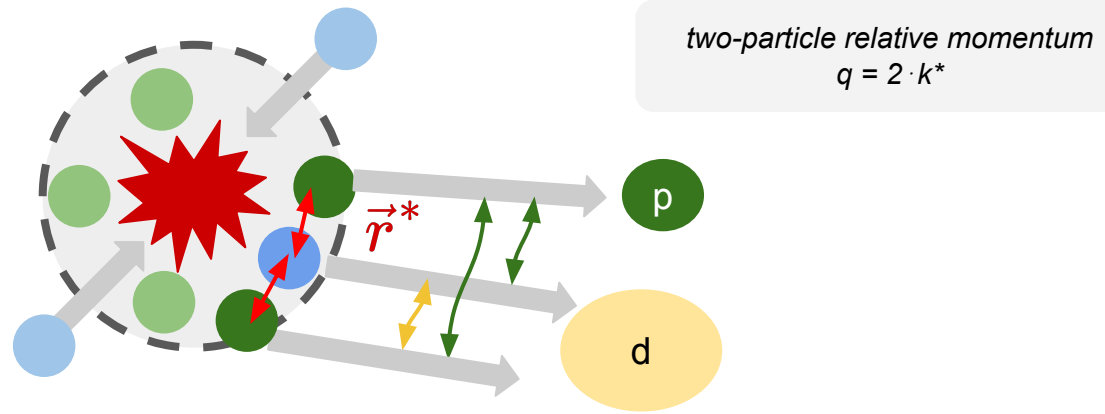
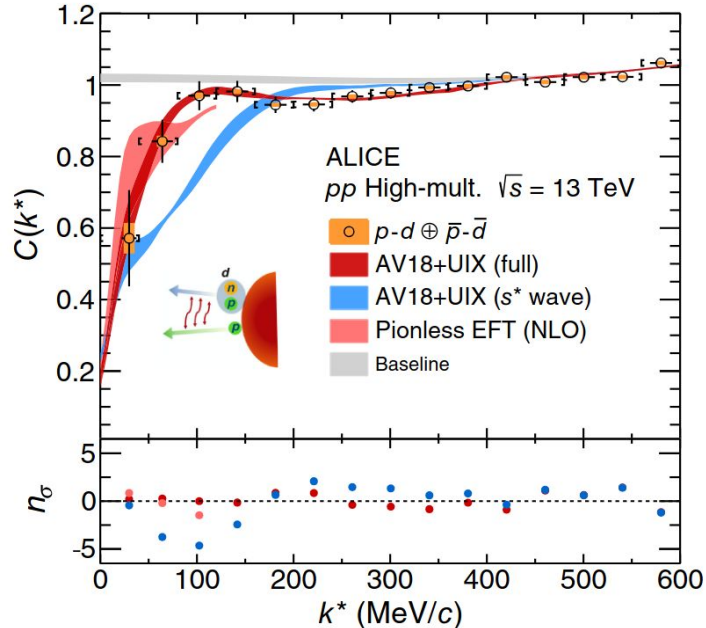
two-particle relative momentum
 $q = 2 \cdot k^*$

Femtoscscopy @ LHC

p - d correlations

Bhawani Singh, Wed @ 14:10

[ALICE Coll., PRX 14 \(2024\) 3, 031051](#)



- Treating the system as three-body, including wave function symmetrization, works!
[Kievsky et al. PRC 108 \(2023\) 6, 064002](#)
- **The potential used is AV18.**
- N.B. Genuine three-body forces are not required, <4% precision needed to probe them.

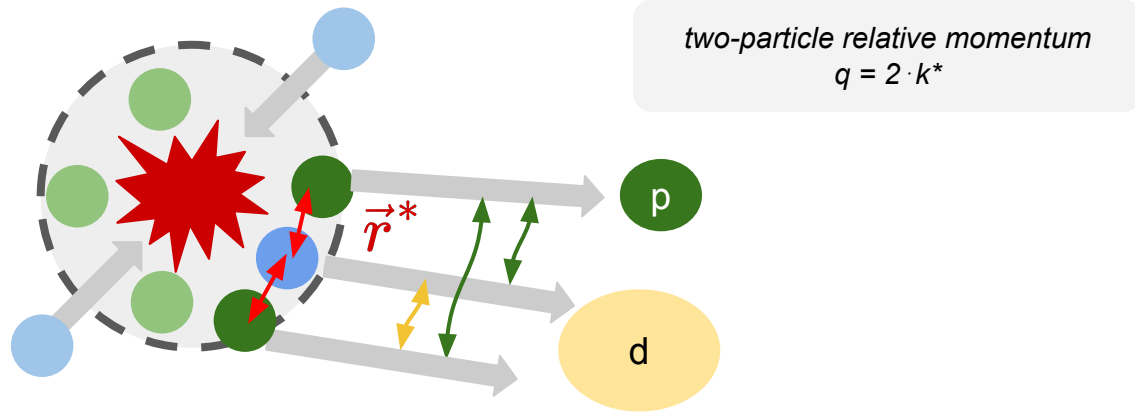
Coalescence @ LHC

Light nuclei formation

Coalescence model:

- Nucleons close in phase space
=> possibility to coalesce
- Coalescence parameter B_A
=> probability for the nucleons to coalesce

$$B_A = \frac{E_A \frac{d^3 N_A}{d^3 p_A}}{\left(E_p \frac{d^3 N_p}{d^3 p_p} \right)^A}$$



Coalescence @ LHC

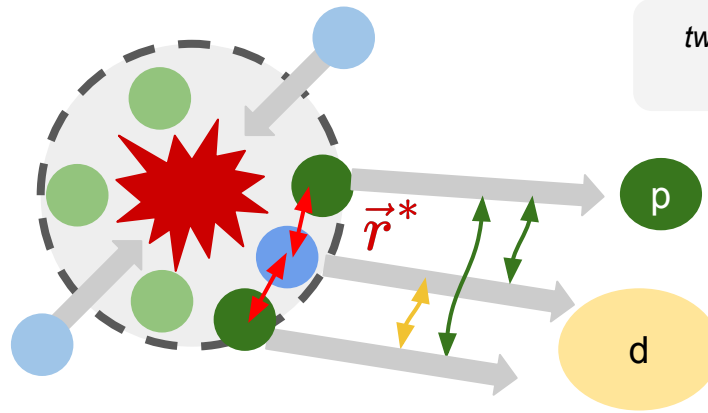
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=> probability for the nucleons to coalesce

$$B_A = \frac{E_A \frac{d^3 N_A}{d^3 p_A}}{\left(E_p \frac{d^3 N_p}{d^3 p_p} \right)^A} = A \left(\frac{4\pi p_0^3}{3 m_N} \right)^{A-1}$$

- *Simple coalescence* models assume that nucleons coalesce if their k^* is below a threshold p_0



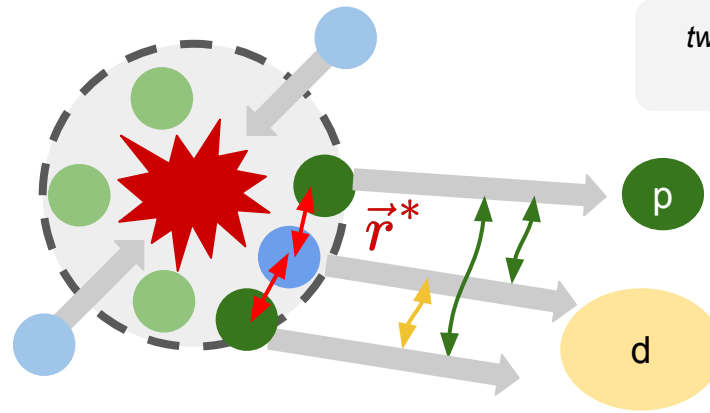
two-particle relative momentum
 $q = 2 \cdot k^*$

Coalescence @ LHC

Light nuclei formation

Coalescence model:

- Nucleons close in phase space
=> possibility to coalesce
- Coalescence parameter B_A
=> probability for the nucleons to coalesce



two-particle relative momentum
 $q = 2 \cdot k^*$

$$B_A = \frac{E_A \frac{d^3 N_A}{d^3 p_A}}{\left(E_p \frac{d^3 N_p}{d^3 p_p} \right)^A} = A \left(\frac{4\pi p_0^3}{3 m_N} \right)^{A-1}$$

$$\mathcal{P}(q, \sigma) = \frac{S_2}{(2\pi)^3 \sigma^6} \int d^3 r_p d^3 r_n \mathcal{D}(q, r) e^{-\frac{r_p^2 + r_n^2}{2\sigma^2}}$$

$$= \int d^3 \zeta \Psi(\vec{r} + \vec{\zeta}/2) \Psi^*(\vec{r} - \vec{\zeta}/2) \exp(i\vec{q} \cdot \vec{\zeta})$$

$$= \frac{1}{(2\pi\sigma^2)^3} \exp\left(-\frac{r_n^2 + r_p^2}{2\sigma^2}\right)$$

Nucleus wave function

Relative momenta
of the nucleons

Source size

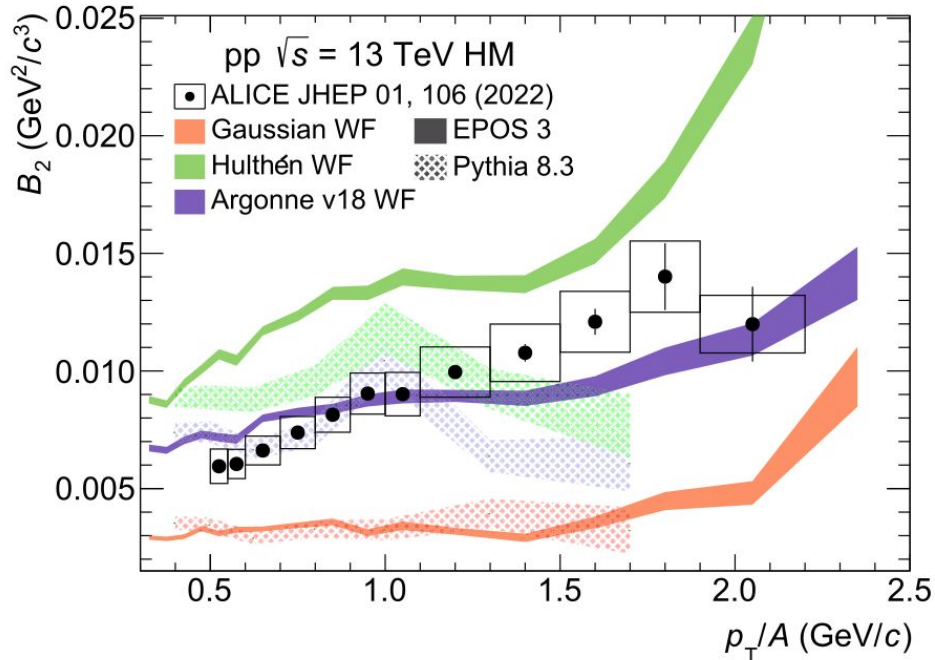
- *Simple coalescence* models assume that nucleons coalesce if their k^* is below a threshold p_0
- *Advanced coalescence* models make use of quantum mechanical treatment, via the **Wigner formalism**

[M. Kachelrieß, EPJA 56 \(2020\)](#)

[Mahlein et al., EPJC 83 \(2023\) 9, 804](#)

Coalescence studies for light nuclei

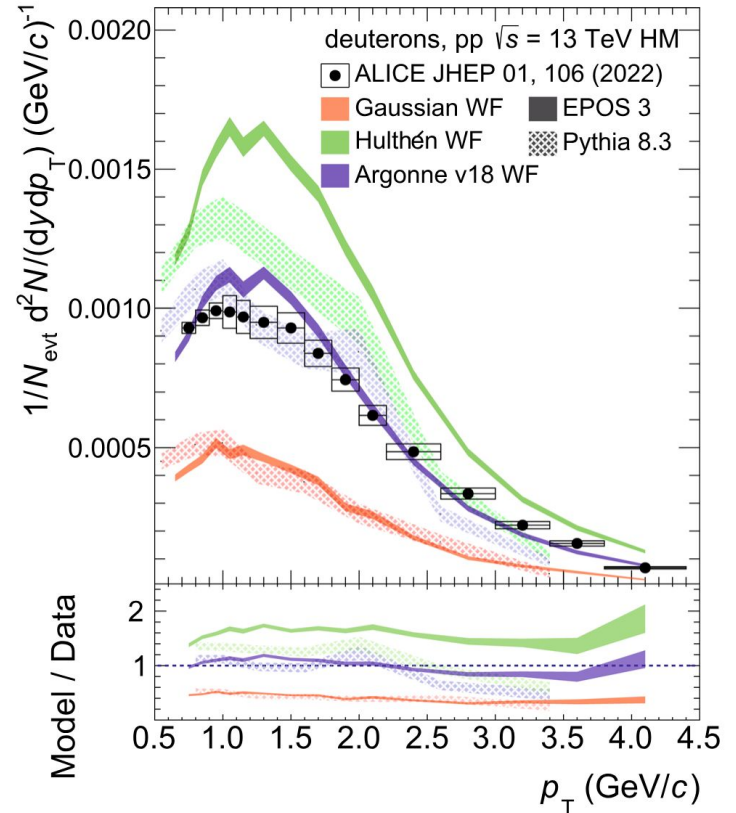
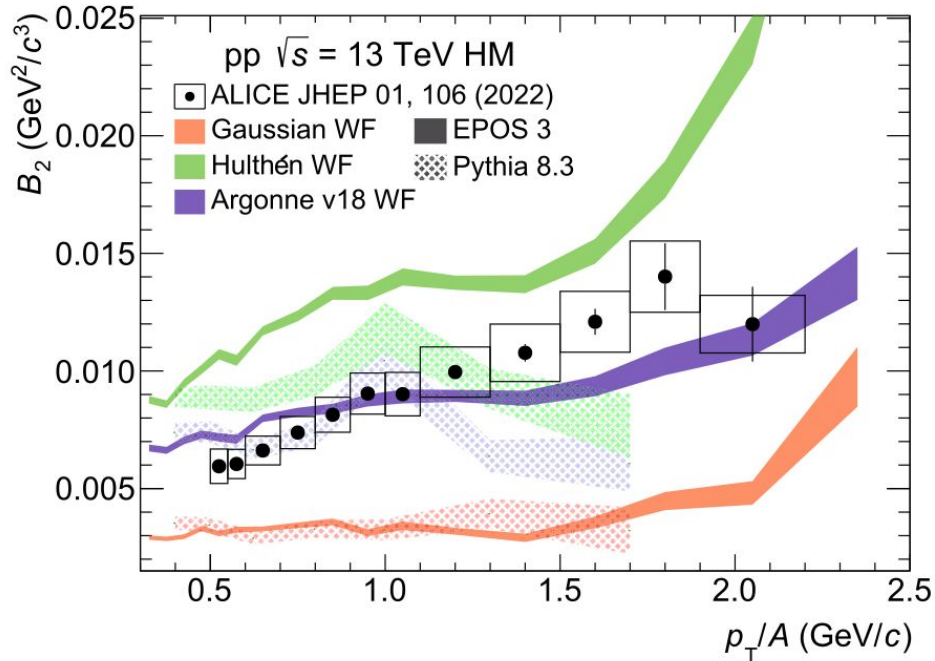
B_2 measurements vs predictions (pp collisions)



- The $B_2(p_T)$ is reproduced using the Wigner formalism
- The **Argonne V18** potential used to evaluate the deuteron wave function can describe both p-p and p-d correlations
- The **source size** is taken from **p-p correlations**

Coalescence studies for light nuclei

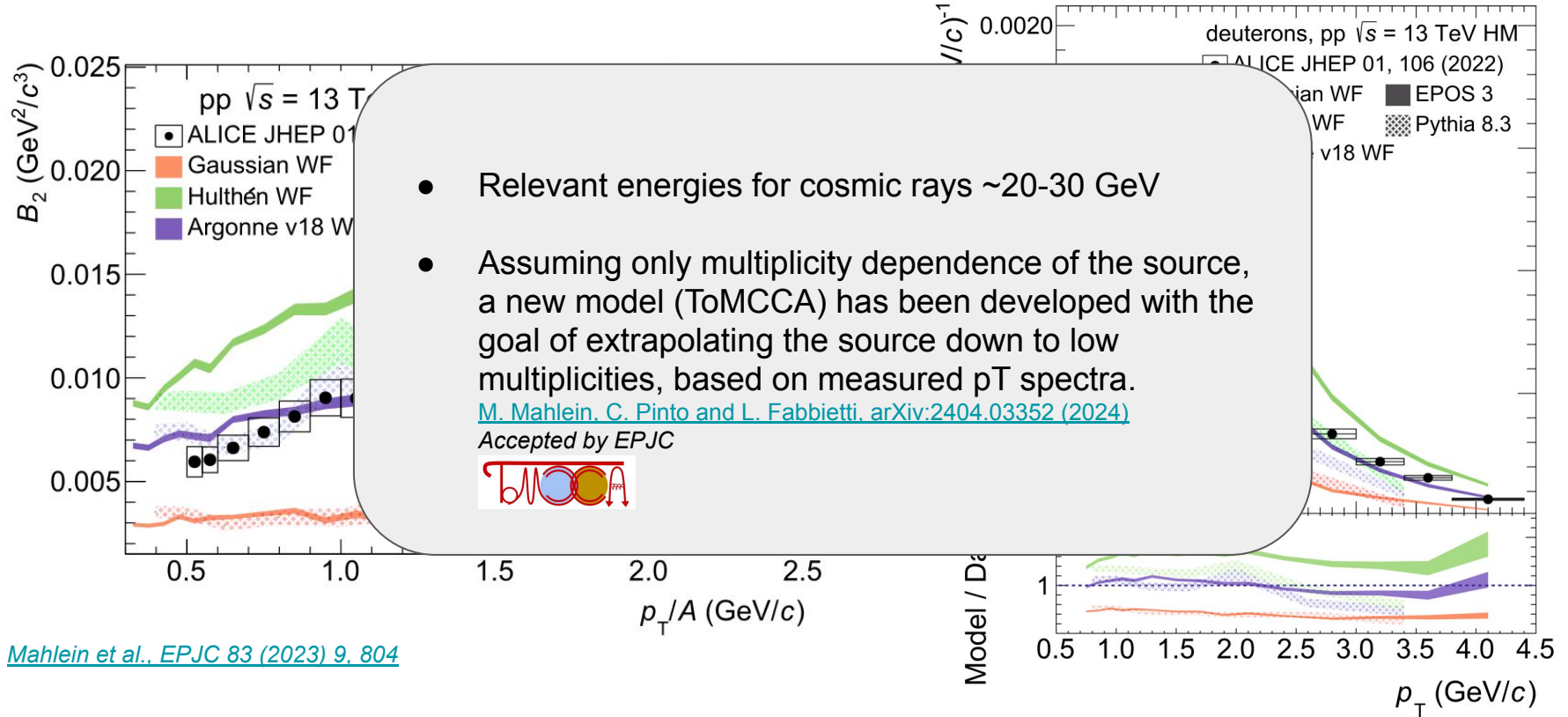
p_T spectrum reproduced as well!



[Mahlein et al., EPJC 83 \(2023\) 9, 804](#)

Going forward

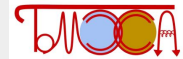
ToMCCA



- Relevant energies for cosmic rays $\sim 20\text{-}30$ GeV
- Assuming only multiplicity dependence of the source, a new model (ToMCCA) has been developed with the goal of extrapolating the source down to low multiplicities, based on measured pT spectra.

[M. Mahlein, C. Pinto and L. Fabbietti, arXiv:2404.03352 \(2024\)](https://arxiv.org/abs/2404.03352)

Accepted by EPJC



A summary

And thank you for your attention!

- A common source in small collision systems allowing to study the FSI with high precision using femtoscopy
- Advancements in the source modelling
- Femtoscopy and coalescence can relate the emission source to momentum distributions of light nuclei

A teaser as an outlook:

- Some very interesting new developments related to πd correlations, relevant for the coalescence studies.
Will trade details for drinks over dinner!