



**ALICE**

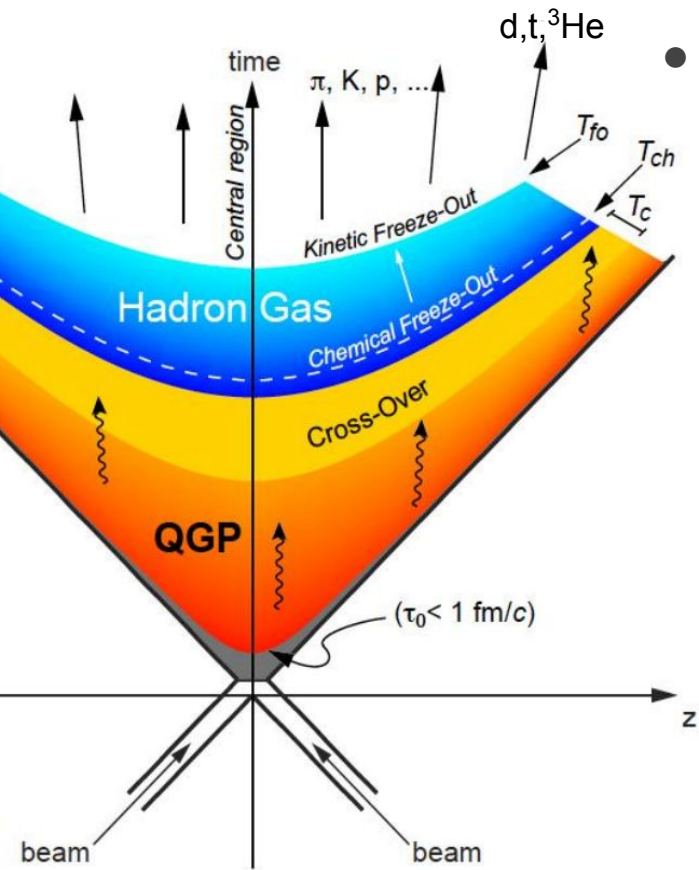
# Measurements of (anti)(hyper)nuclei with ALICE

**Ramona Lea for the ALICE Collaboration**

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**17th edition of the Workshop on Particle Correlations and Femtoscopy (WPCF 2024)**

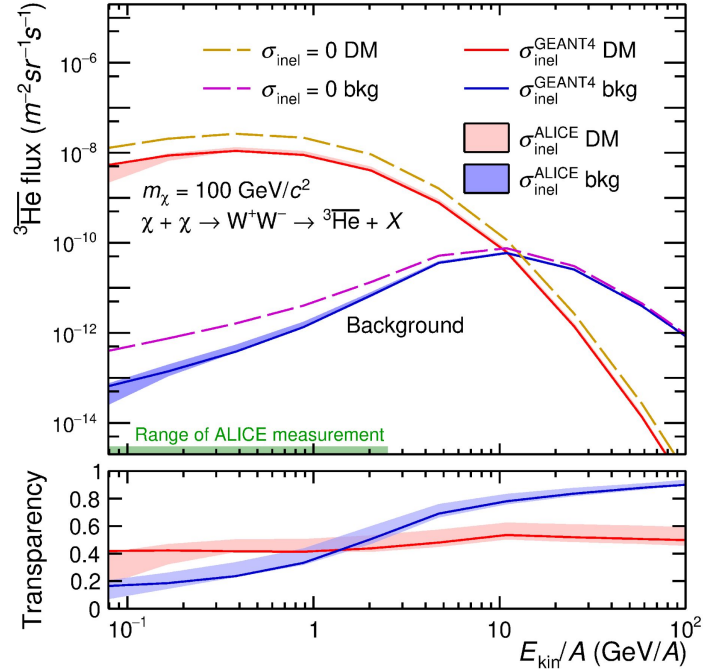
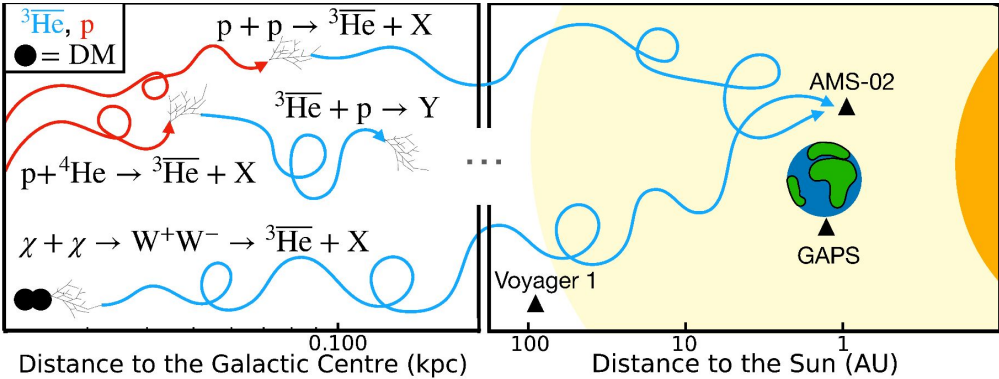
# Light nuclei in heavy-ion collisions



- The study of light (anti)(hyper)nuclei is very important:
  - Production mechanism is not well understood
    - How/when do they form?
      - “early” at chemical freeze-out (thermal production)
      - or “late” at kinetic freeze-out (coalescence)?
    - Do they suffer for the dissociation by rescattering?
  - Low binding energy (few MeV) "Snowballs in hell": nuclei formation is very sensitive to chemical freeze-out conditions and to the dynamics of the emitting source
  - Baseline for exotic bound state searches
  - Light nuclei measurements in high energy physics can be used to estimate the background of secondary anti-nuclei in dark matter search

# Antinuclei production

- Antinuclei can be a sign of Dark Matter annihilation:
  - Background: production in the collisions between cosmic rays (CR) and the interstellar medium (ISM) (pp and p-A collisions)
    - Nuclei production must be known very well!



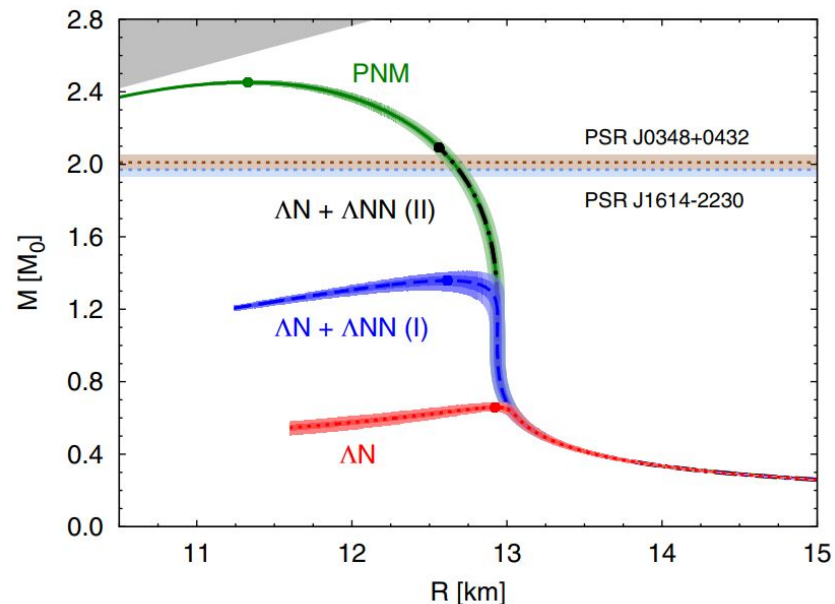
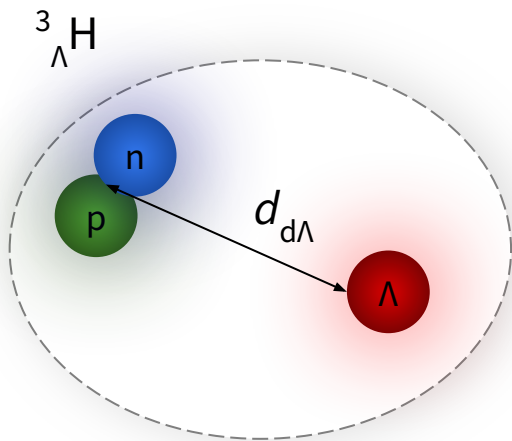
ALI-PUB-532056

[M. Korsmeier et al, Phys. Rev. D 97, 103011](#)

[Nature Phys. 19 \(2023\) 1, 61-71](#)

# Hypernuclei production

- Hypernuclei can be used to study nucleon-hyperon (N-Y) interaction
  - Production of exotic bound states
  - Determination of the equation of state
    - Application to neutron stars

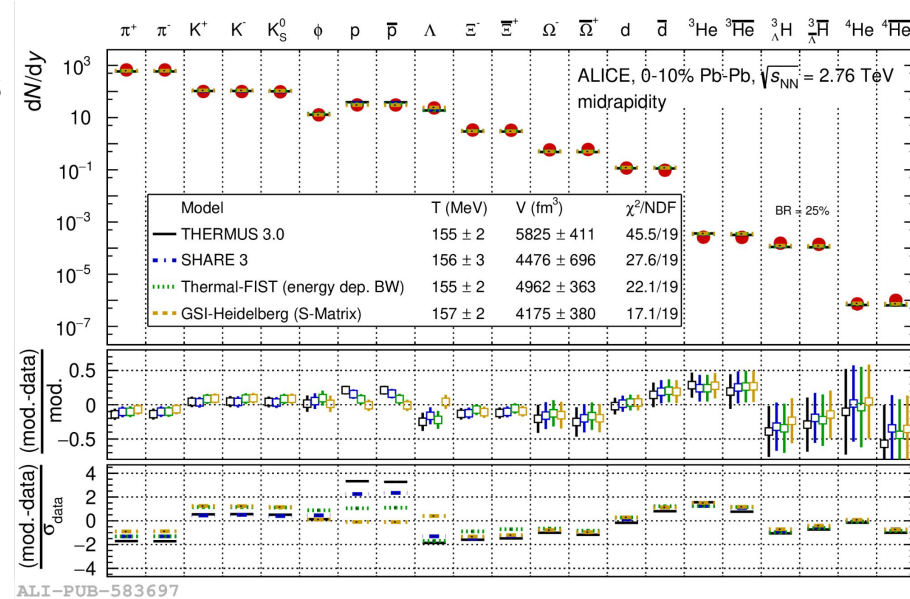


[D. Lonardonì et al., PRL 114, 092301 \(2015\)](#)

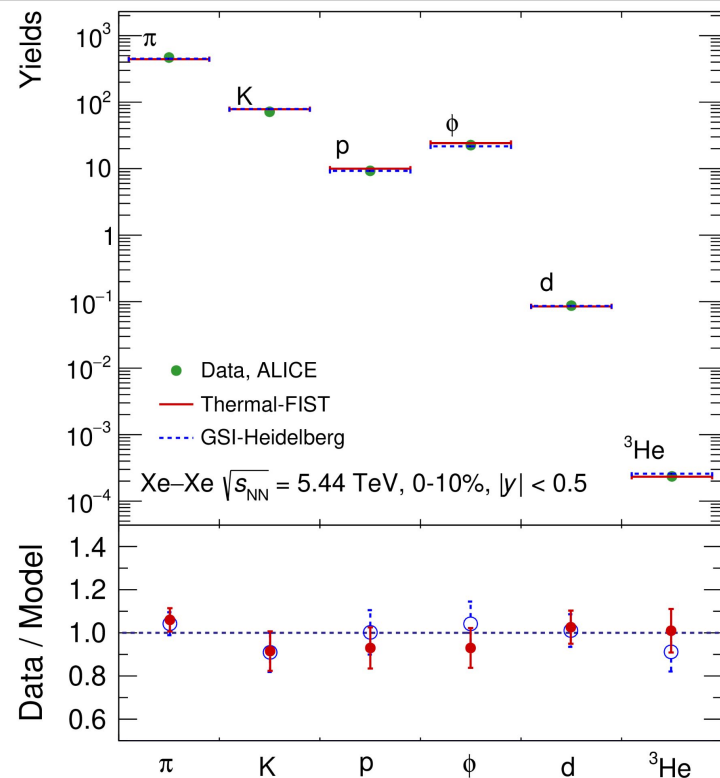
[D. Logoteta et al., EPJA 55 \(2019\) 11, 207](#)

# Production models

- Statistical hadronization models (**SHMs**)
  - describe the yields of light- flavoured hadrons by requiring thermal and hadron-chemical equilibrium
    - Parameters:  $(T, V, \mu_B)$
  - light (anti)(hyper)**nuclei** are treated as **point-like objects**

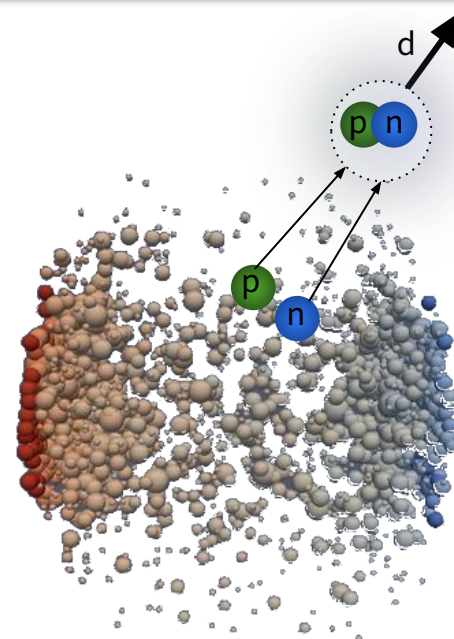


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    - Parameters:  $(T, V, \mu_B)$
  - light (anti)(hyper)**nuclei** are treated as **point-like objects**
  - Canonical ensemble (CSM): local conservation of quantum numbers (S, Q and B)
- Central Xe–Xe collisions:  $\pi$ , K,  $\phi$ , p, d,  $^3\text{He}$ 
  - $T_{\text{chem}} = (154.2 \pm 1.1) \text{ MeV}$  (Similar to the one obtained in Pb–Pb collision)
  - $V = (3626 \pm 298) \text{ fm}^3$
  - $\chi^2/\text{NDF} = 0.83$



- **Coalescence**

- Nuclei are formed by nucleons emitted at freeze-out hypersurface
- Coalescence calculations incorporate the **size of nuclei**
  - convolution between nucleon phase-space distribution and Wigner function of the nucleus



 J. I. Kapusta, PRC 21, 1301 (1980)

 Mahlein et al., EPJC 83 (2023) 9, 804

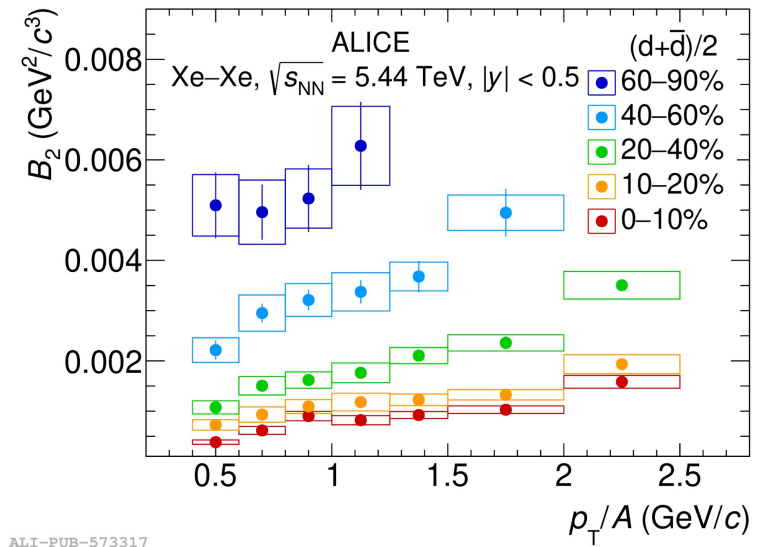
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- Coalescence calculations incorporate the **size of nuclei**
  - convolution between nucleon phase-space distribution and Wigner function of the nucleus

- Coalescence parameter  $B_A$ , related to formation probability via coalescence:

$$E_A \frac{d^3 N_A}{dp_A^3} = B_A \left( E_p \frac{d^3 N_p}{dp_p^3} \right)^A$$



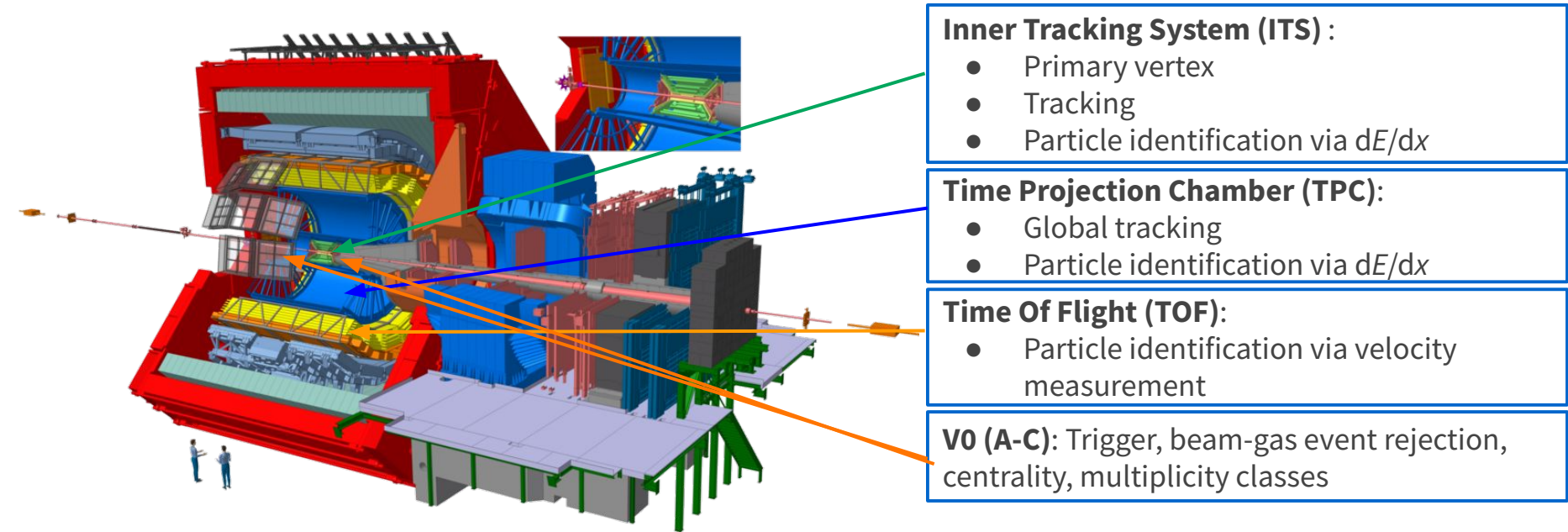
ALI-PUB-573317

 J. I. Kapusta, PRC 21, 1301 (1980)

 Mahlein et al., EPJC 83 (2023) 9, 804



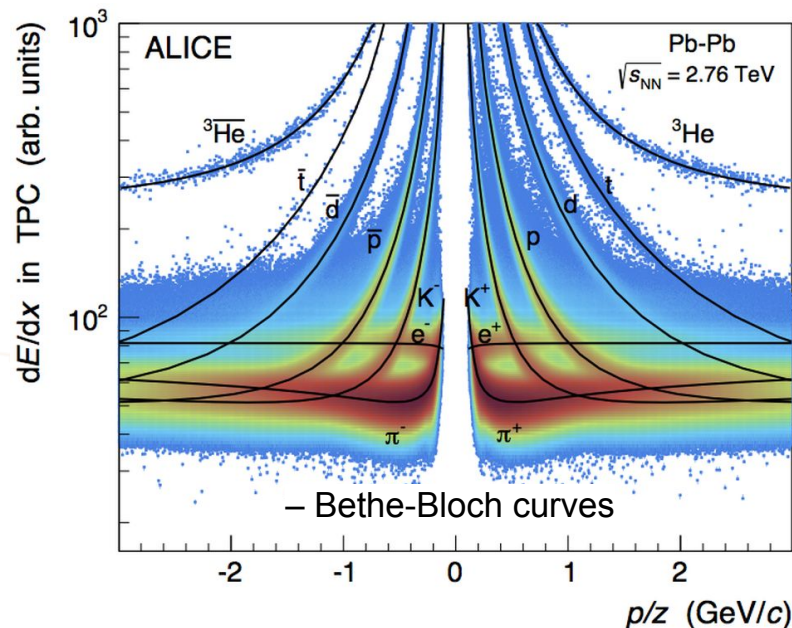
ALICE particle identification capabilities are unique. Almost all known techniques are exploited: specific energy loss ( $dE/dx$ ), time of flight, transition radiation, Cherenkov radiation, calorimetry and decay topology (V0, cascade).



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### TPC: $dE/dx$ in gas

- Separation of (anti)nuclei thanks to their large mass (and charge)



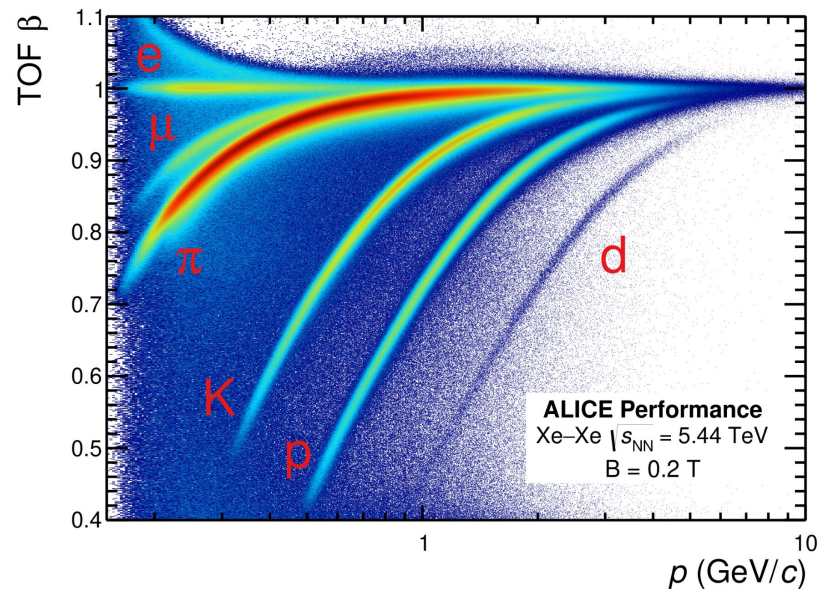
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TOF: measurements of velocity  $\beta = v/c$

- $p = \gamma\beta m \rightarrow$  mass



ALI-PERF-141622

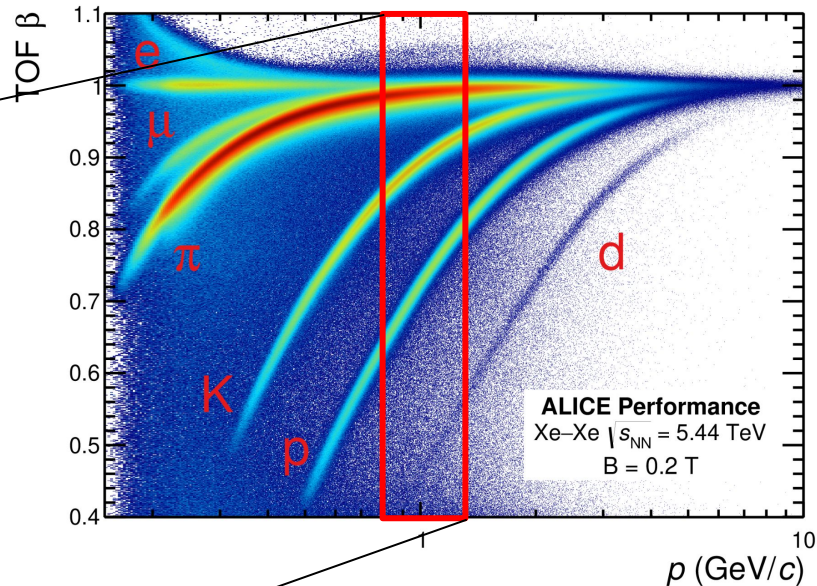
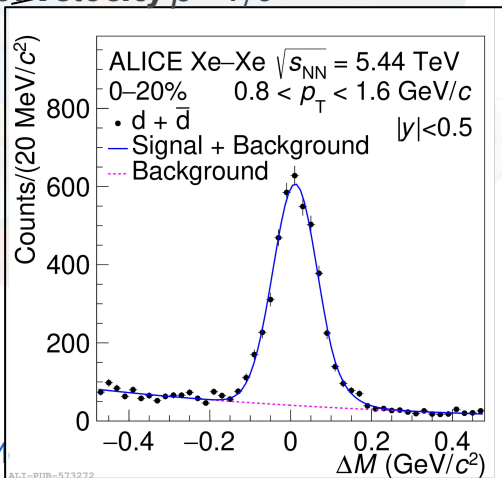
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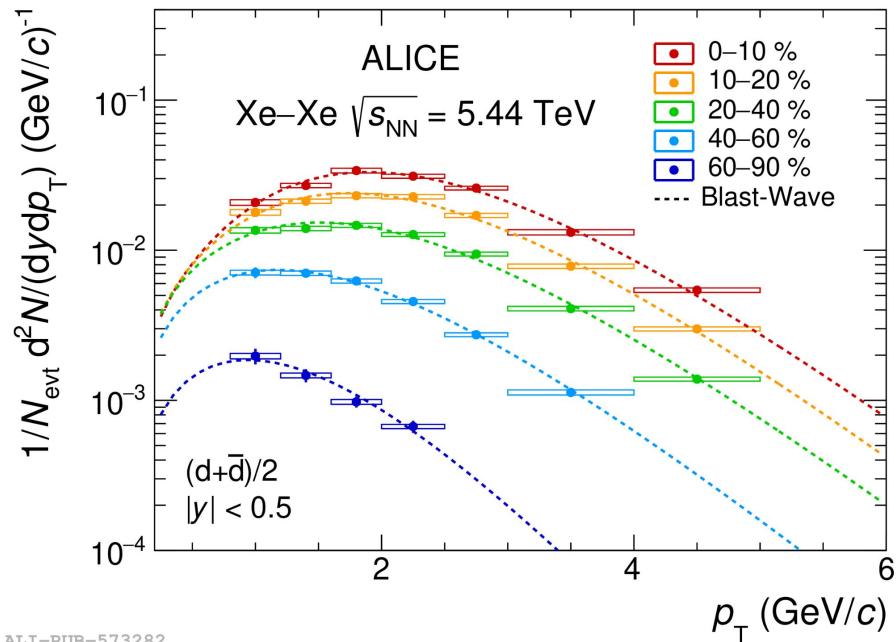


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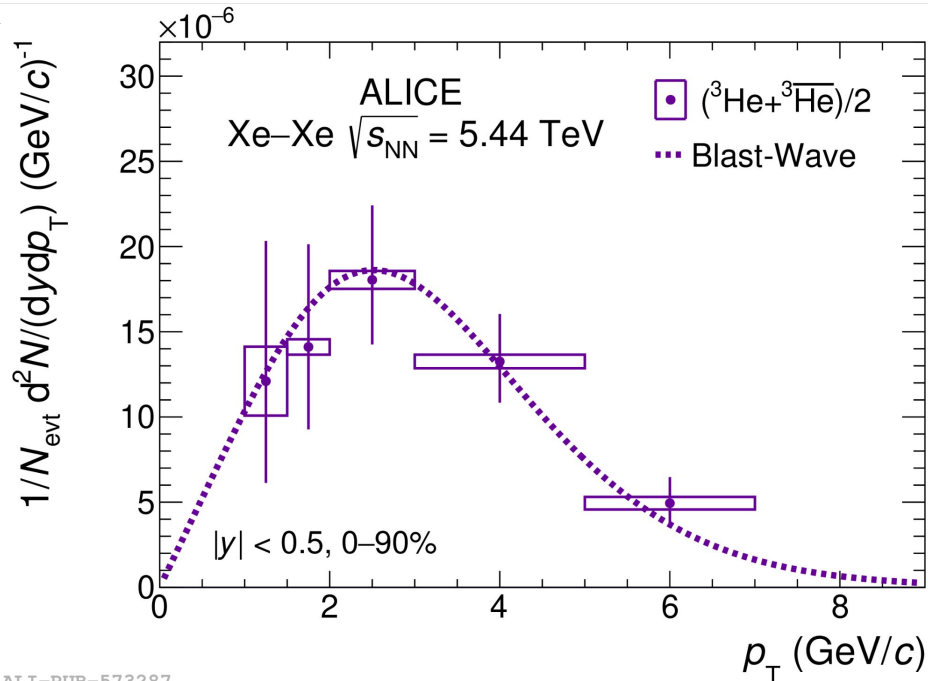
# Production spectra of nuclei

- ALICE measured production spectra of nuclei in pp, p-Pb, Xe-Xe and Pb-Pb collisions at mid-rapidity
- Measurements in classes of multiplicity or centrality
  - related to system size

[arXiv:2405.19826](https://arxiv.org/abs/2405.19826)

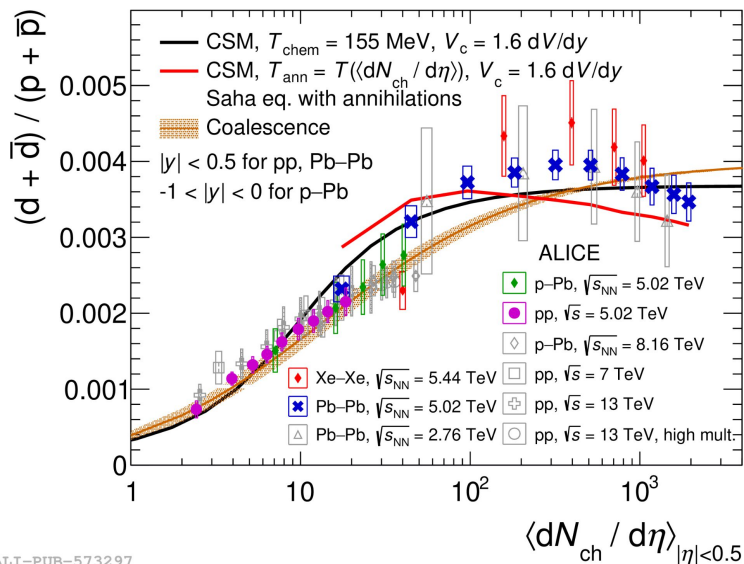


ALI-PUB-573282

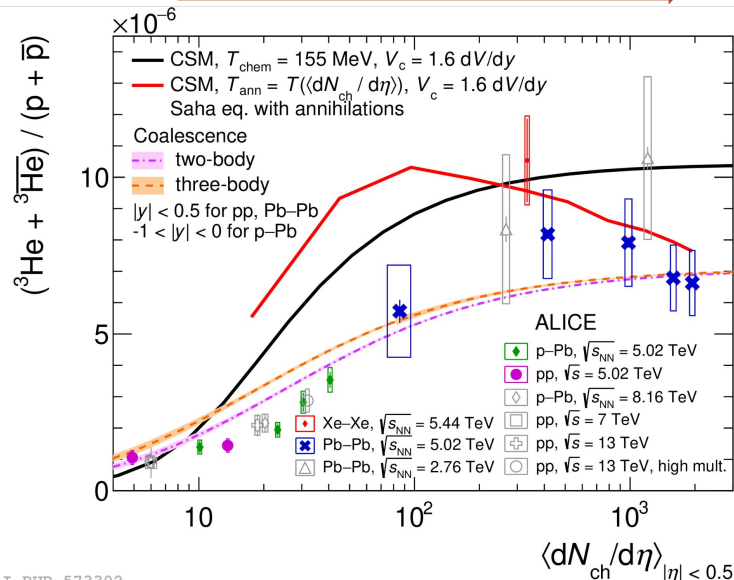


ALI-PUB-573287

# Nucleon-to-proton ratio



ALI-PUB-573297



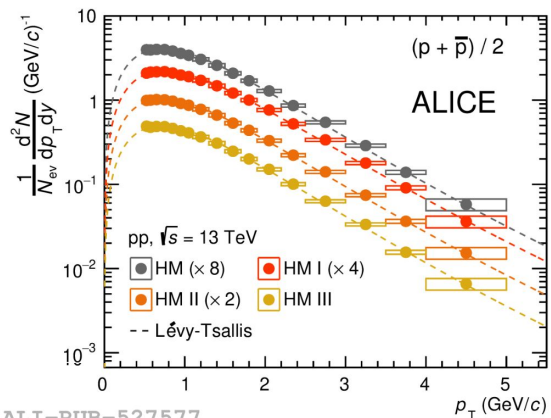
ALI-PUB-573302

[arXiv:2405.19826](https://arxiv.org/abs/2405.19826)

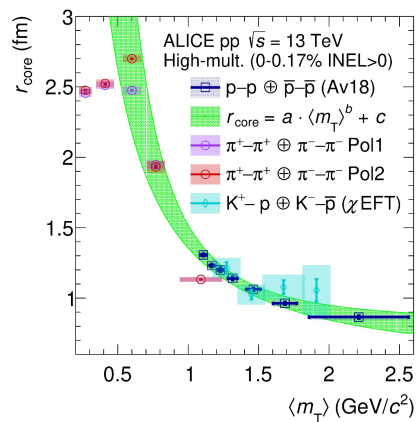
- Smooth evolution of d/p and 3He/p ratios with the system size
  - A=2 : multiplicity dependence is well reproduced by both **CSM** and **coalescence**
  - A=3 : ratio fairly described by the **coalescence** approach at low and high charged-particle multiplicity densities. Tension at intermediate multiplicities (10-40 charged particles)

# Constraining nuclei wave function

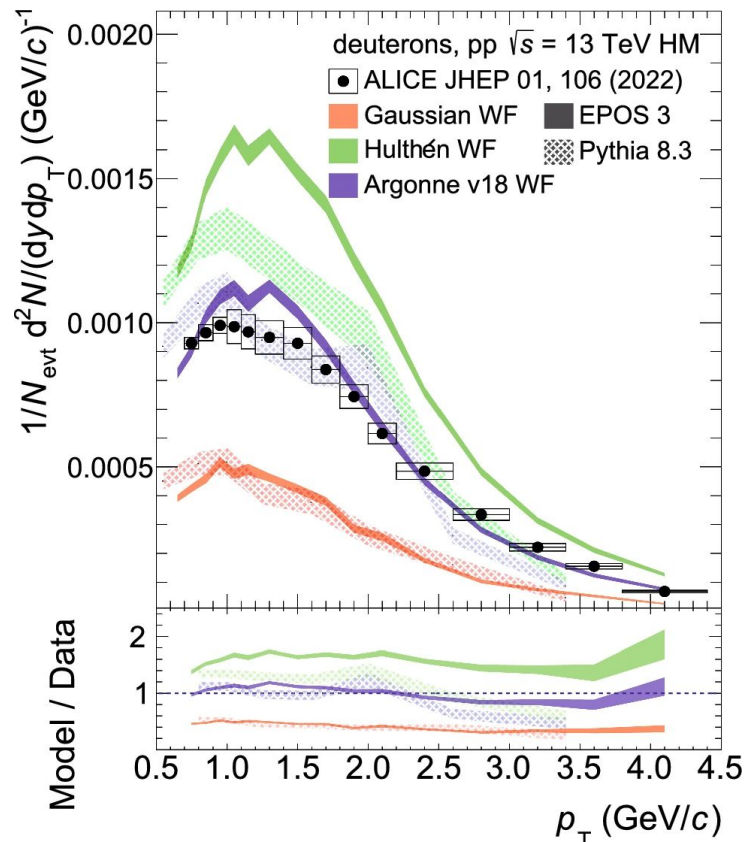
- A recent study shows that ALICE measurements in HM collisions of:
  - proton production yields
  - proton source radius
- allow for the prediction of the deuteron spectrum via event-by-event coalescence with no free parameters!



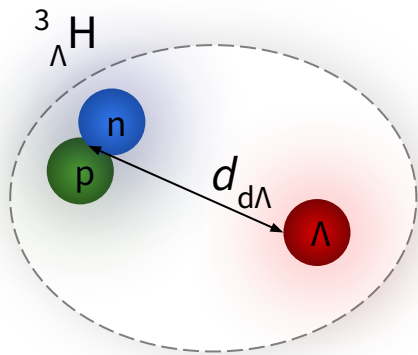
 JHEP 01 (2022) 106



 arXiv:2311.14527



- Lightest known hypernucleus consisting of (p, n,  $\Lambda$ )
- Mass = 2.991 GeV/c<sup>2</sup>
- $B_{\Lambda} = 0.13 \pm 0.05$  MeV ( $B_d = 2.2$  MeV,  $B_t = 8.5$  MeV,  $B_{3\text{He}} = 7.7$  MeV)
- ${}^3_{\Lambda}\text{H}$  has a large size:
  - $d_{d-\Lambda} = 10.79$  fm,  $r(d) = 1.96$  fm



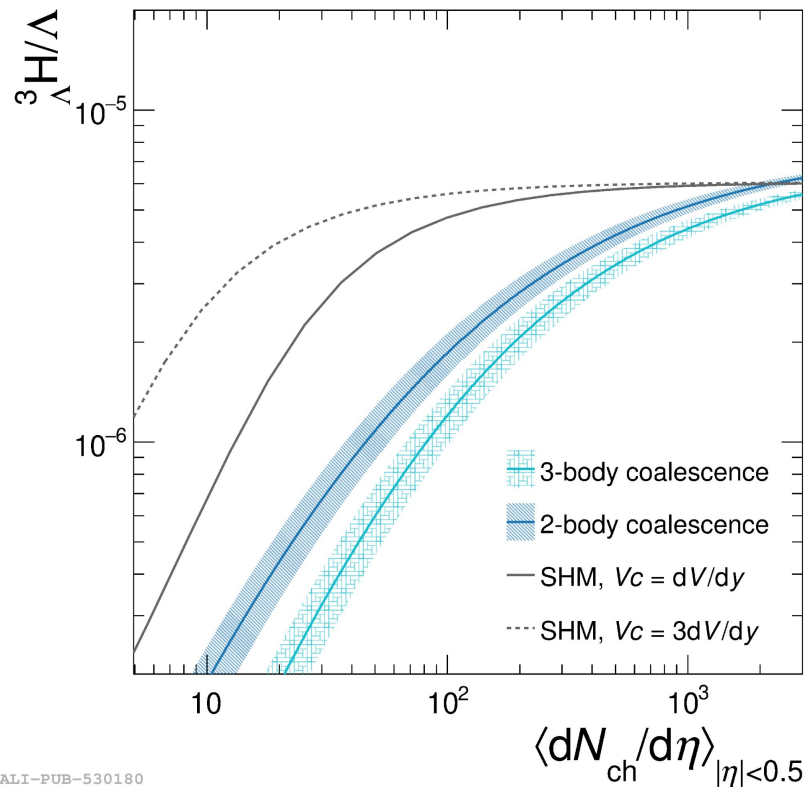
 <https://hypernuclei.kph.uni-mainz.de/>

 F. Hildenbrand and H.-W. Hammer, Phys. Rev. C 100, 034002



# Hypertriton production in pp

- **SHM** and **coalescence** predictions for  ${}^3_{\Lambda}\text{H}$  are very different at low multiplicity



ALI-PUB-530180

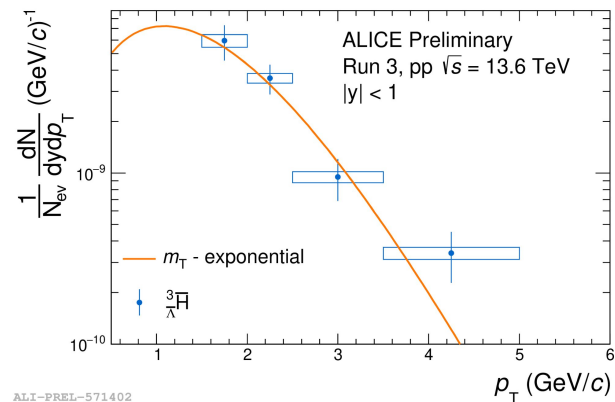
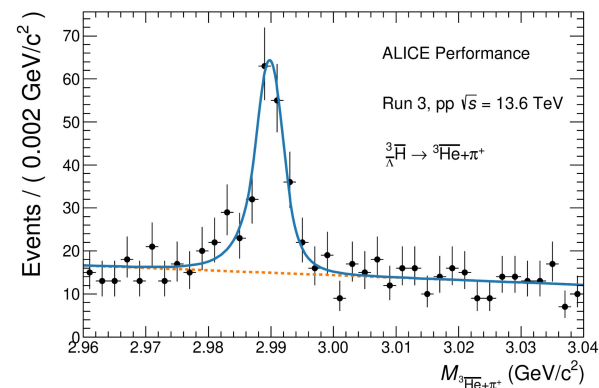
 Phys. Rev. Lett. 128 (2022) 252003

 K.-J. Sun, et al. Phys. Lett. B 792, 132 (2019)

 V. Vovchenko, et al. Phys. Lett. B 785, 171 (2018).

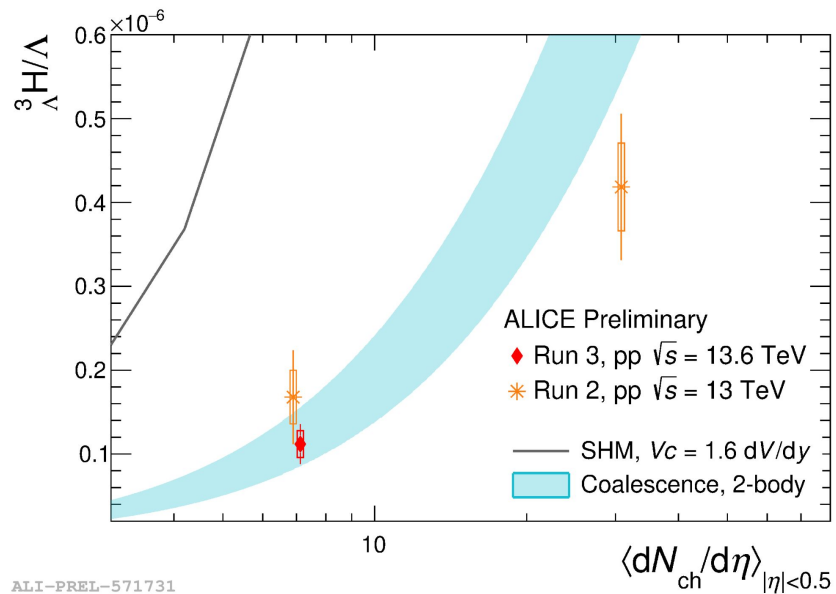
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- ${}^3_{\Lambda}\text{H}$  measured in Run 3 by ALICE with good precision



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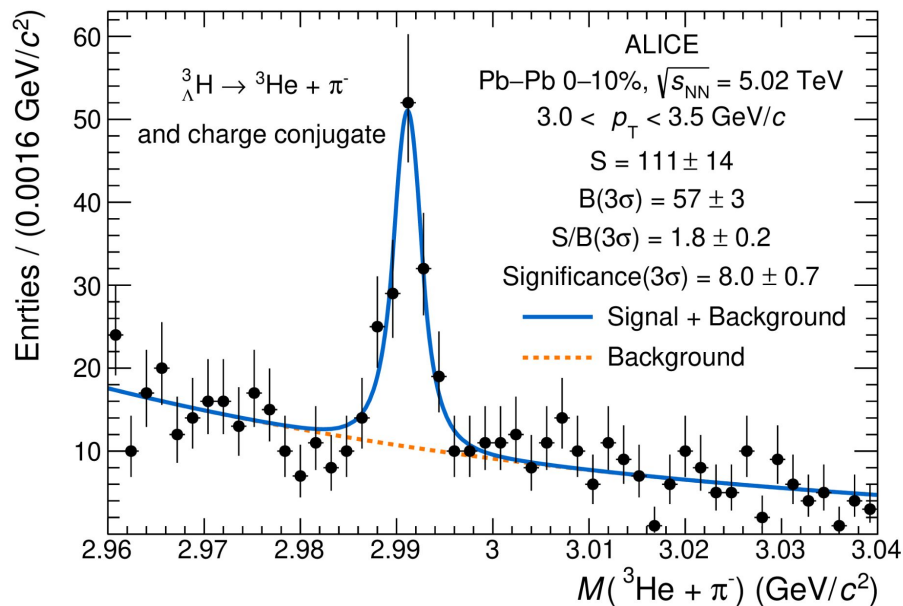
- **SHM** and **coalescence** predictions for  ${}^3_{\Lambda}\text{H}$  are very different at low multiplicity
- ${}^3_{\Lambda}\text{H}$  measured in Run 3 by ALICE with good precision
- ${}^3_{\Lambda}\text{H}/\Lambda$  is compared with the prediction of CSM and coalescence model
  - Two-body coalescence model provides the best description of data



➤ **Hypertriton in pp clearly favours coalescence**

# Hypertriton production in Pb–Pb

- ${}^3_{\Lambda}\text{H}$  has also been recently measured in Pb–Pb collisions at  $\sqrt{s_{\text{NN}}} = 5.02$  TeV

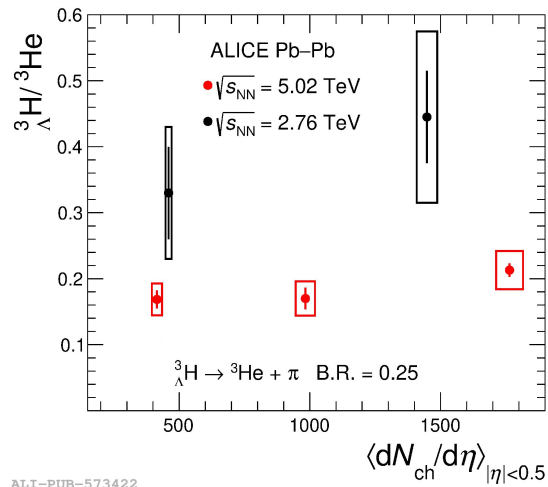


[arXiv:2405.19839](https://arxiv.org/abs/2405.19839)

ALI-PUB-573412

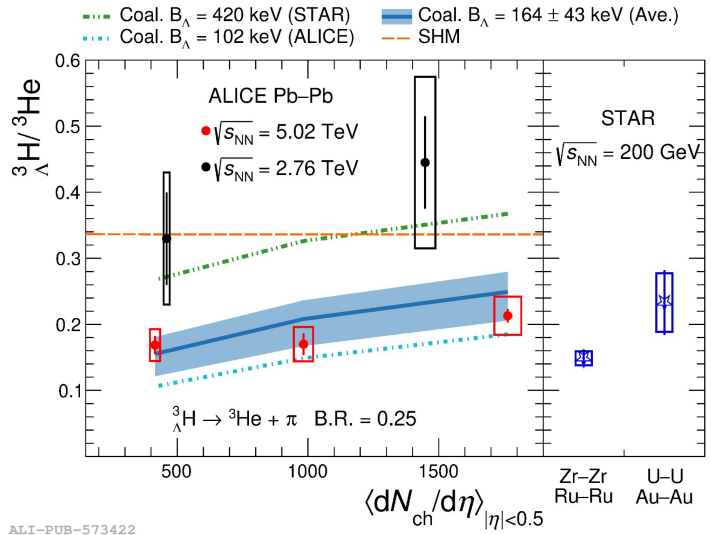
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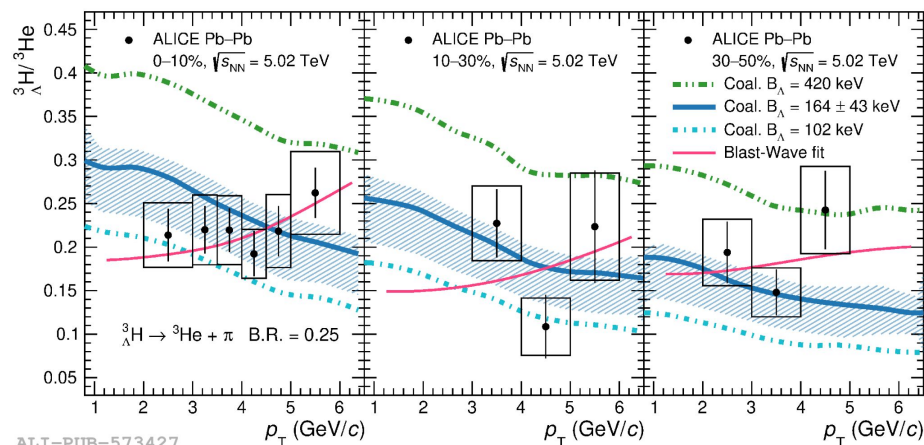
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- ${}^3_{\Lambda}\text{H}/{}^3\text{He}$  shows good agreement with **coalescence**, assuming  $B_{\Lambda} = 164 \pm 43$  keV

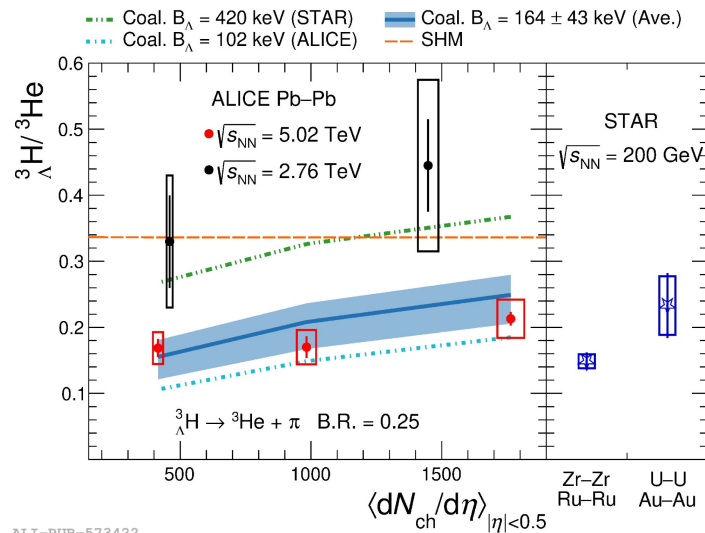


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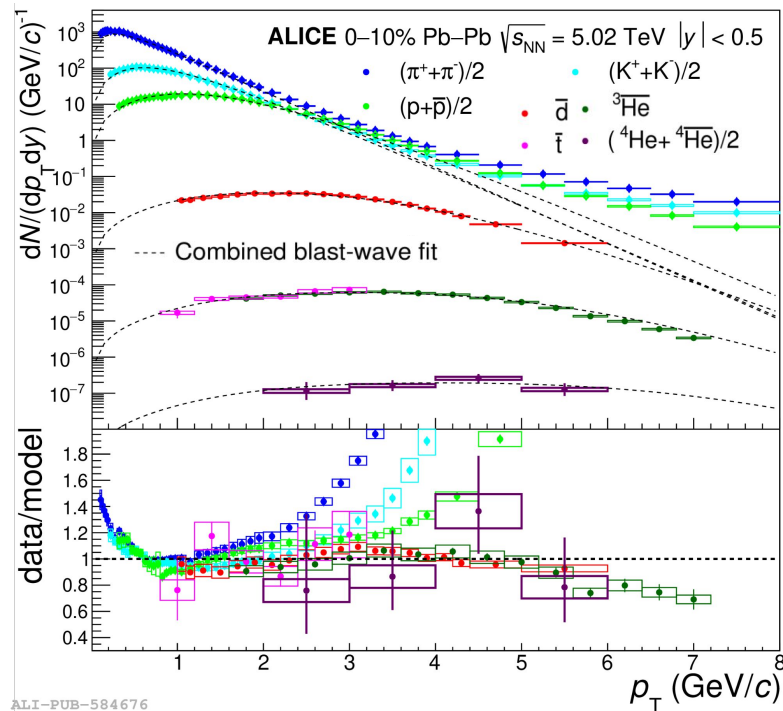


ALI-PUB-573422

- $p_{\text{T}}$ -differential measurement is also in agreement with **blast-wave** with common parameters with other nuclei
  - Large statistical uncertainties  $\rightarrow$  Ongoing  $p_{\text{T}}$ -differential analyses with Run 3 data are fundamental to disentangle the two models

# $^4\text{He}$ in Pb–Pb collisions

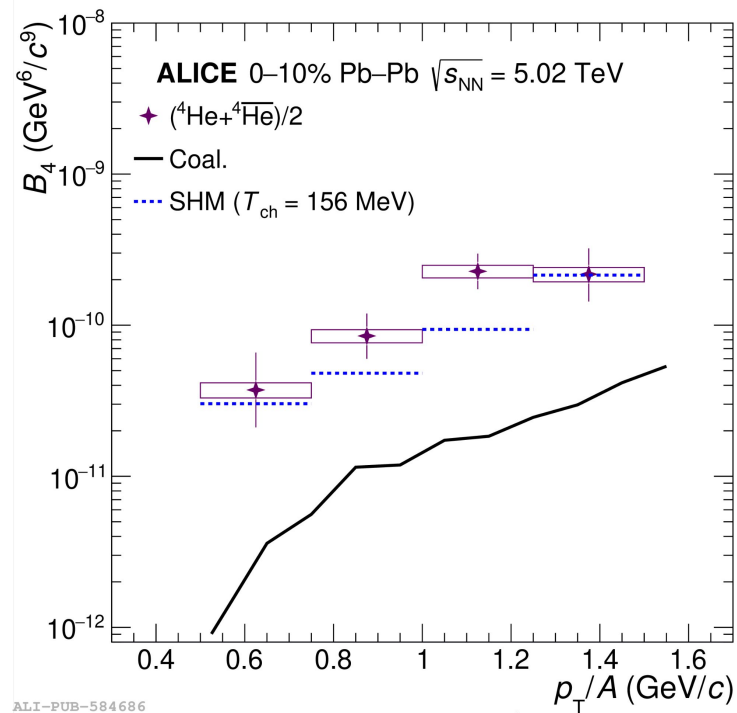
- ALICE has measured the production spectra for (anti)  $^4\text{He}$  in Pb–Pb
- $^4\text{He}$  is more bound and compact than lighter nuclei:
  - $E_B(^4\text{He}) \sim 28 \text{ MeV}$ ,  $r(^4\text{He}) \sim 1.7 \text{ fm}$
- $p_T$  spectra are well reproduced by a blast-wave function, using common parameters with the other nuclei





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- $p_T$  spectra are well reproduced by a blast-wave function, using common parameters with the other nuclei
- The parameter  $B_4$  is compared with **SHM+blast wave** and **coalescence** predictions



ALI-PUB-584686

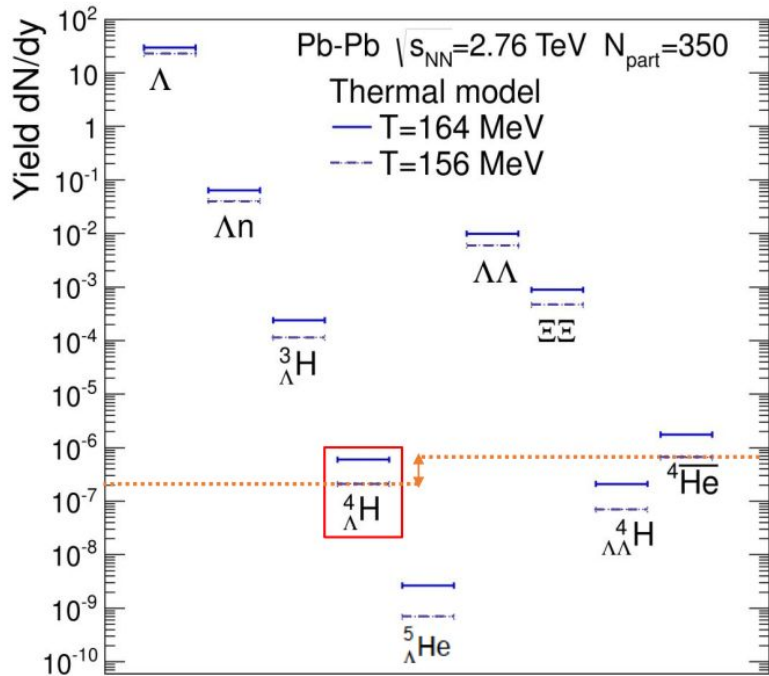
$$E_A \frac{d^3 N_A}{dp_A^3} = B_A \left( E_p \frac{d^3 N_p}{dp_p^3} \right)^A$$

➤ **SHM describes nuclei with A = 4 better**

 Phys. Lett. B 858 (2024) 138943

# Hypernuclei with $A = 4$

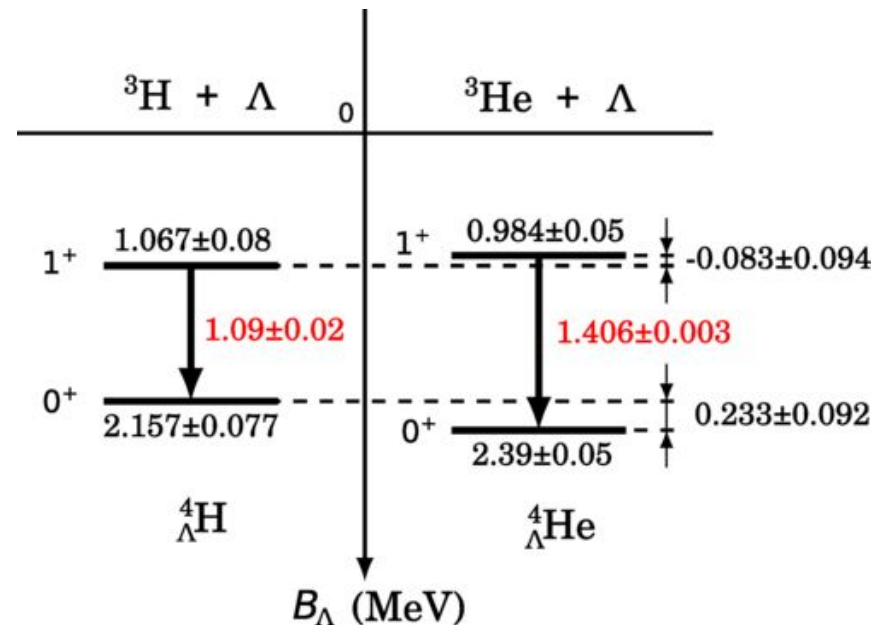
- **SHM** predicts hypernuclei with  $A = 4$  in Pb–Pb collisions
  - they are rare:
    - penalty factor for increasing  $A$ :  $\sim 300$
    - suppression due to strangeness content



A. Adronic, private communication, based on  
 A. Adronic et al., PLB 697 (2011) 203–207

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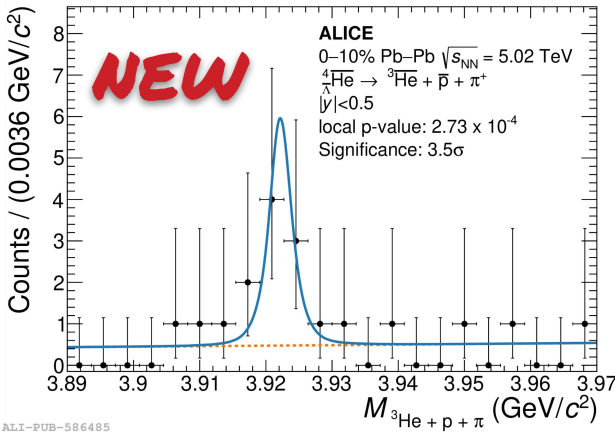
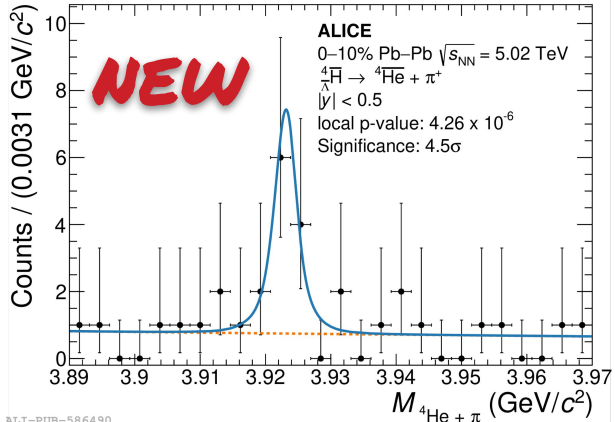
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- Some factors may enhance the yield ( $\times 4$ ):
  - larger binding energy wrt  $A = 3$
  - existence of excited states  $\frac{dN}{dy} \propto 2J + 1$
  - spin degeneracy



[M. Schäfer et al., PRC 106, L031001 \(2022\)](#)

# Hypernuclei with $A = 4$

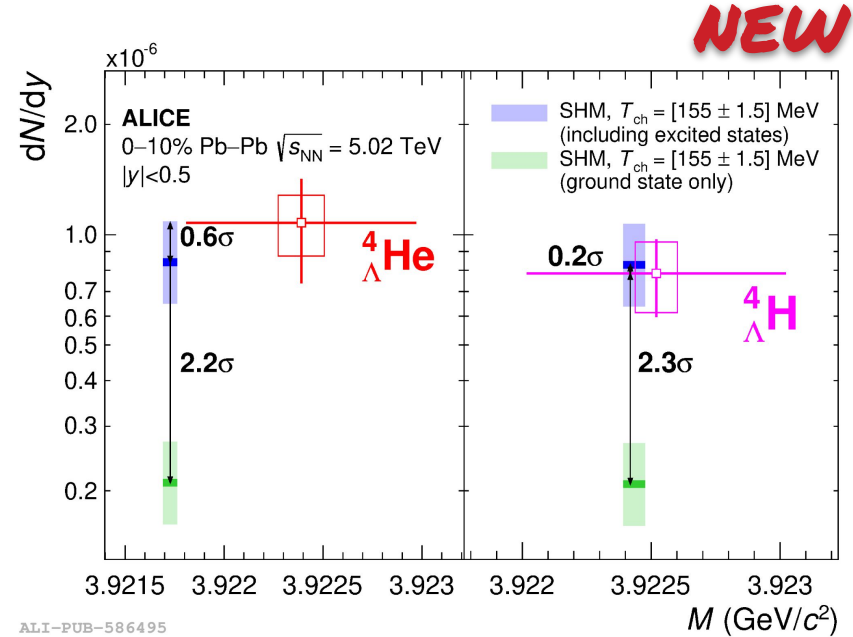
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- In Pb–Pb at  $\sqrt{s_{NN}} = 5.02$  TeV, ALICE has observed:
  - ${}^4_{\Lambda}H \rightarrow {}^4\text{He} + \pi^-$
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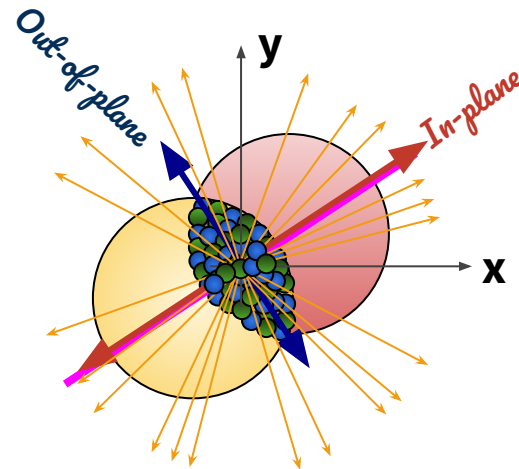
[arXiv:2410.17769](https://arxiv.org/abs/2410.17769)

# Hypernuclei with $A = 4$

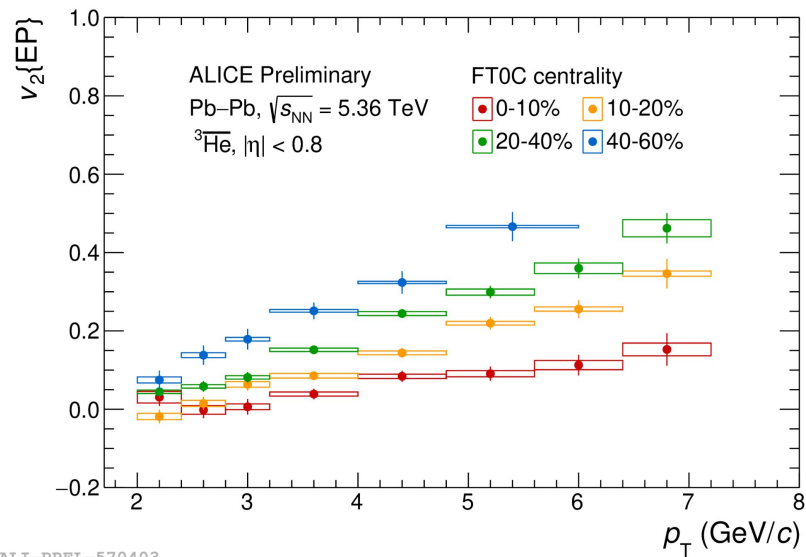
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  - ${}^4_{\Lambda}\text{He} \rightarrow {}^4\text{He} + p + \pi^-$
- Yields in agreement with **SHM** prediction that includes feed-down from excited states
  - **SHM describes hypernuclei with  $A = 4$  well**



- Anisotropic flow measures the momentum anisotropy of final-state particles
  - It is sensitive to a different production in-plane and out-of-plane
  - Can be used to test production mechanisms



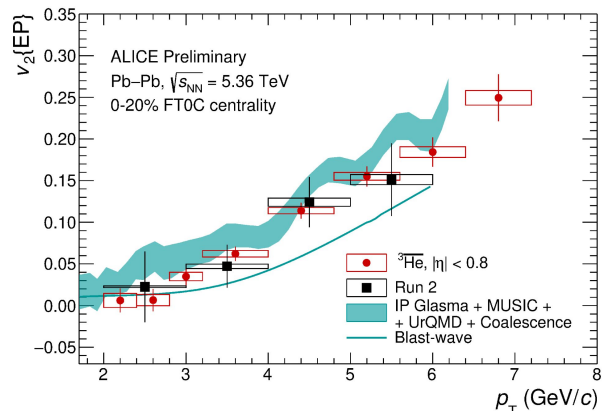
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- ALICE has measured  $v_2$  for (anti-) $^3\text{He}$  in Run3 Pb-Pb collisions at  $\sqrt{s_{\text{NN}}} = 5.36$  TeV
  - more differential both in  $p_{\text{T}}$  and centrality, more precise than in Run 2



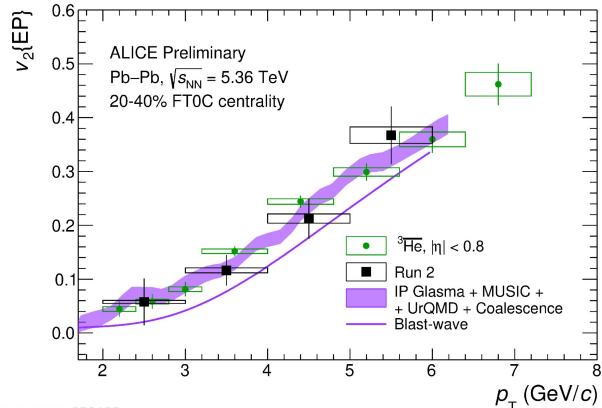
ALI-PREL-570403

# Flow as a probe for nuclear production

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- Data are compared with the predictions of blast-wave and **coalescence** model
  - **coalescence is favoured**



ALI-PREL-570443

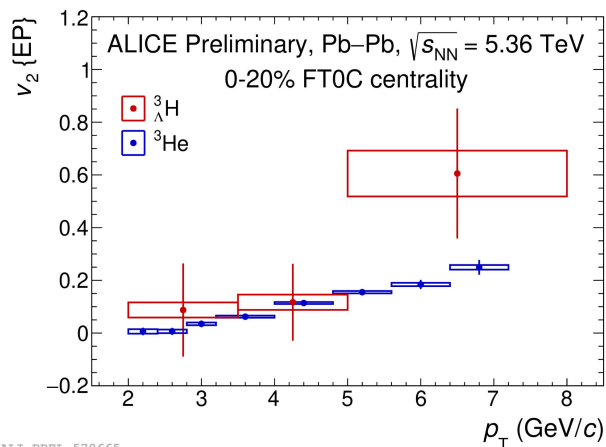


ALI-PREL-570455

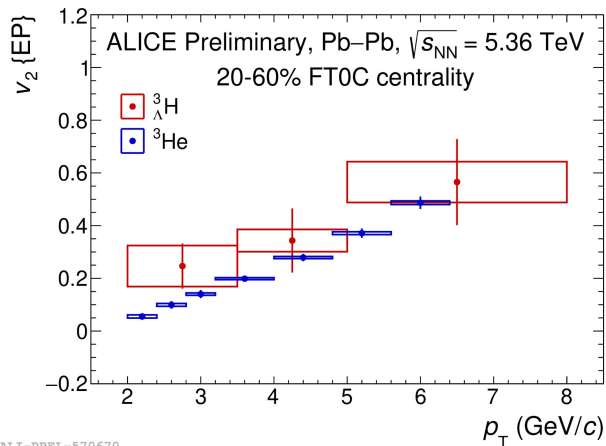


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- Data are compared with the predictions of blast wave and coalescence model
  - **coalescence is favoured**
- Flow of hypertriton has been measured for the first time:
  - **compatible with  $^3\text{He}$ , but large uncertainties currently**

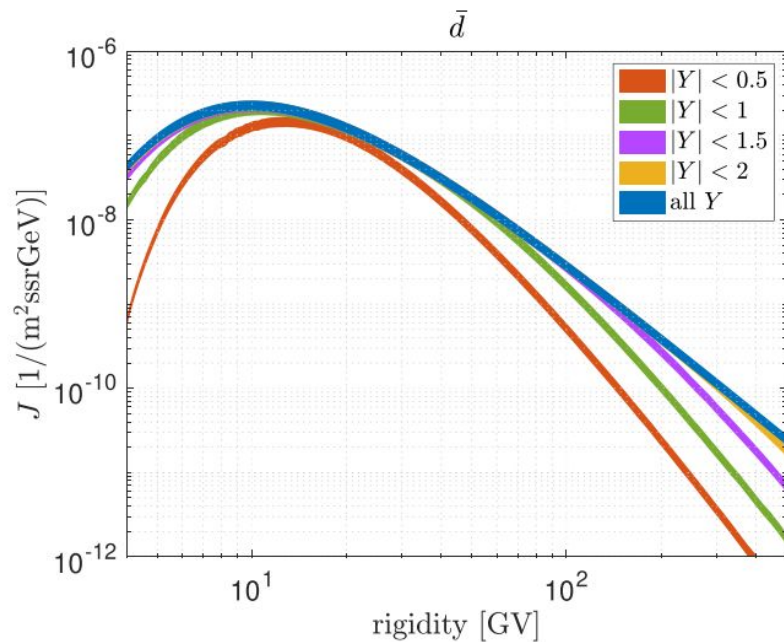


ALI-PREL-570665



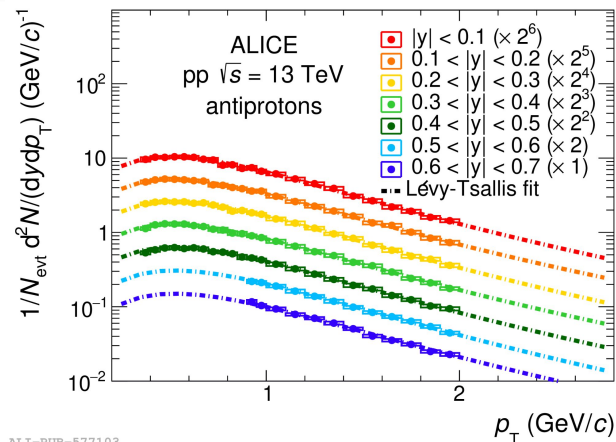
ALI-PREL-570670

- In cosmic rays - interstellar medium collisions (anti)nuclei are mainly produced at forward rapidity:
  - important to study nuclear production vs rapidity

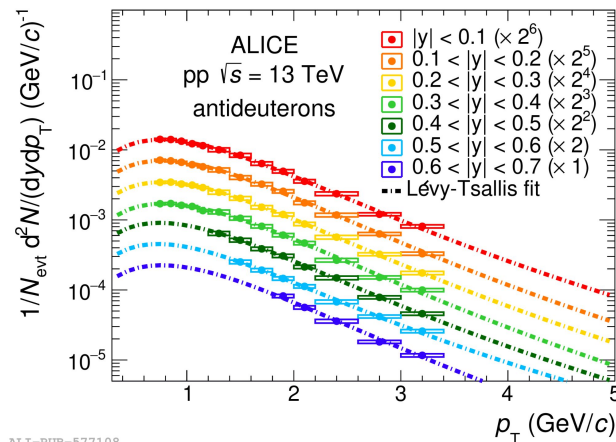


# Deuteron production vs rapidity

- In cosmic rays - interstellar medium collisions (anti)nuclei are mainly produced at forward rapidity:
  - important to study nuclear production vs rapidity
- Measurement of p and d production in rapidity intervals ( $|y| < 0.7$ )



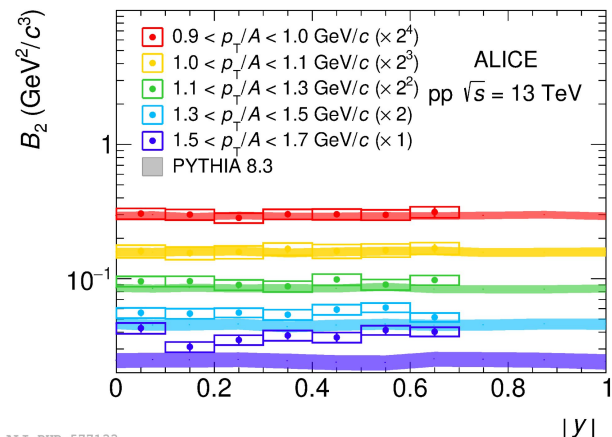
ALI-PUB-577103



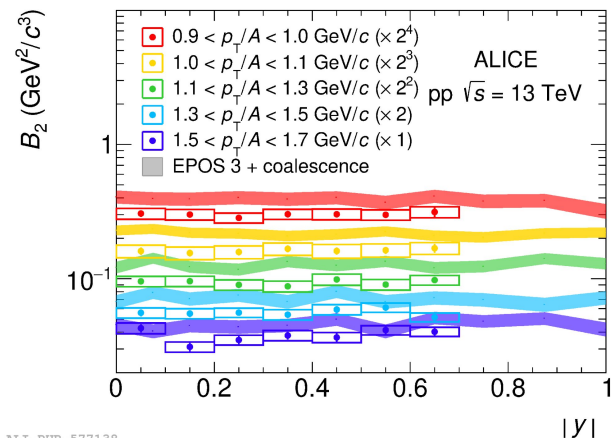
ALI-PUB-577108

# Deuteron production vs rapidity

- In cosmic rays - interstellar medium collisions (anti)nuclei are mainly produced at forward rapidity:
  - important to study nuclear production vs rapidity
- Measurement of p and d production in rapidity intervals ( $|y| < 0.7$ )
- $B_2$  is measured as a function of  $p_T$  and  $y$ :
  - data are compared with predictions from coalescence (PYTHIA and EPOS+**Coalescence**)
  - the shape is correctly reproduced, the magnitude not



ALI-PUB-577133



ALI-PUB-577138

- Production of (anti)(hyper)nuclei measured at mid-rapidity in pp, p–Pb, Xe–Xe and Pb–Pb
  - light nuclei ( $E_B \sim \text{MeV}$ ) are reproduced by both **SHM** and **coalescence**
  - loosely bound objects such  ${}^3_{\Lambda}\text{H}$  ( $B_{\Lambda} \sim 100 \text{ keV}$ ) are described better by **coalescence** as it includes nuclei size in the estimation
- With Run 3, some measurements that were possible only in Pb–Pb collisions will be accessible also in small systems
  - Measurements will help to disentangle the different production models providing a clearer understanding of the dynamics underlying nuclei formation dynamics

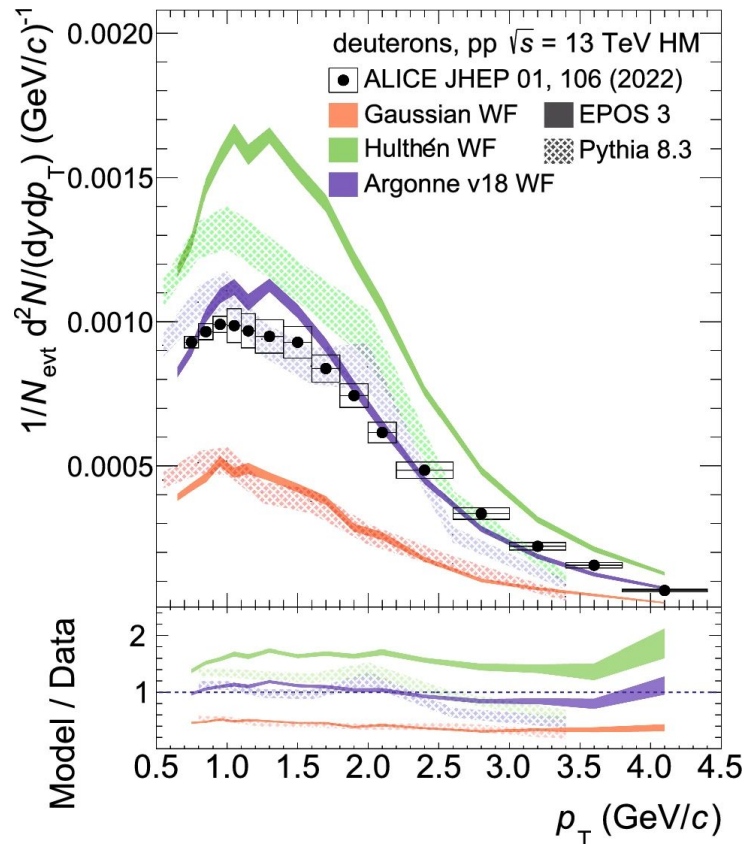
**Backup slides**

# Event-by-event coalescence

- Possible to implement event-by-event coalescence, with probability:

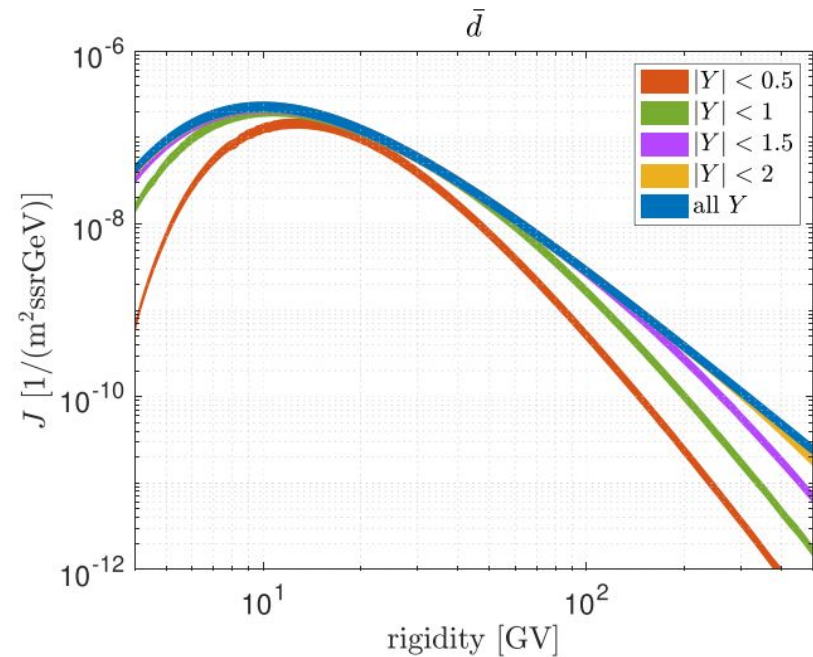
$$\mathcal{P}(r_0, q) = \int d^3 r_d \int d^3 r H_{pn}(\vec{r}, \vec{r}_d; r_0) \mathcal{D}(\vec{q}, \vec{r})$$

- $r_0$  is the size of the emitting source
- $q$  is the relative p-n momentum
- Two-particle emitting source: average two-particle distance
- Wigner transform of the deuteron wavefunction
- production measurements to constrain the nuclear wave function



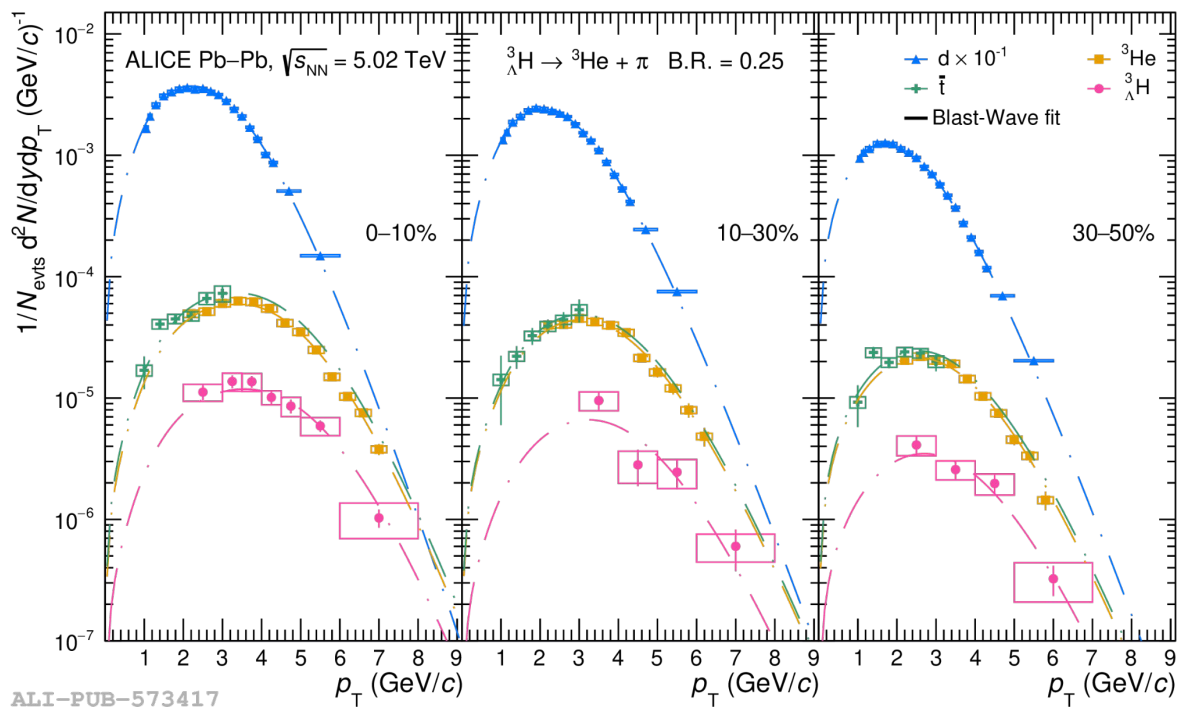
# Rapidity dependence of coalescence

- Model predictions based on ALICE measurements are used as input to calculate antideuteron flux from cosmic rays
- But typically ALICE measurements cover midrapidity ( $|y| < 0.5$ ) while astrophysical models extrapolate to the forward region

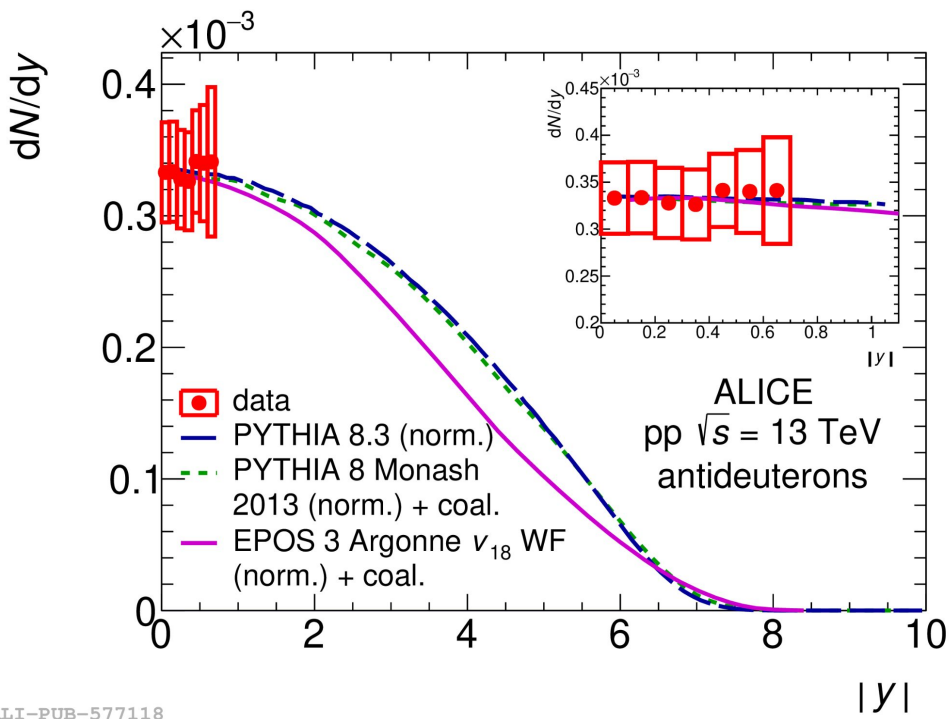




# ${}^3_{\Lambda}\text{H}$ $p_T$ spectra in Pb–Pb



# Deuteron production vs rapidity



ALI-PUB-577118

arXiv:2407.10527

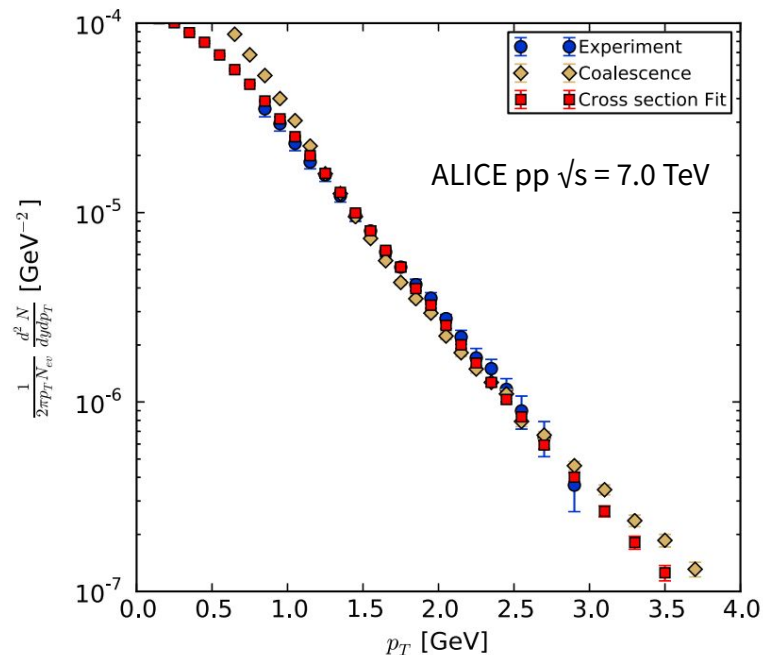
- PYTHIA 8.3:

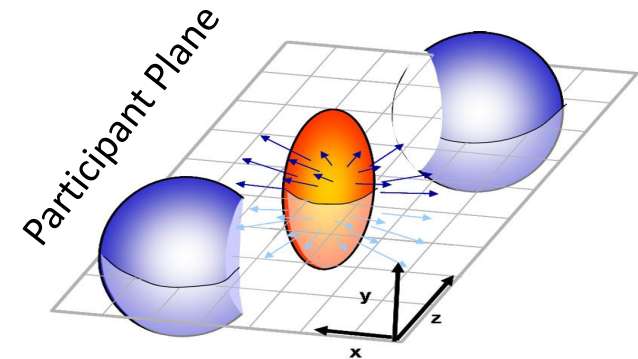
- d production via ordinary reactions
- Energy dependent cross sections parameterized based on data

 L.A. Dal, A.R. Raklev, Phys. Rev. Dg1 (2015) 123536

## Reactions:

- |   |   |
|---|---|
| ● $p + n \rightarrow \gamma + d$        | ● $p + p \rightarrow \pi^+ + d$         |
| ● $p + n \rightarrow \pi^0 + d$         | ● $p + p \rightarrow \pi^+ + \pi^0 + d$ |
| ● $p + n \rightarrow \pi^0 + \pi^0 + d$ | ● $n + n \rightarrow \pi^- + d$         |
| ● $p + n \rightarrow \pi^+ + \pi^- + d$ | ● $n + n \rightarrow \pi^- + \pi^0 + d$ |





Angular distribution of reconstructed charged particles can be expanded into a Fourier series w.r.t. symmetry plane  $\psi_n$ :

$$E \frac{d^3 N}{dp^3} = \frac{1}{2\pi} \frac{d^2 N}{p_T dp_T dy} \left( 1 + \sum_{n=1}^{\infty} 2v_n \cos(n(\phi - \psi_n)) \right)$$

$$v_n = \langle \cos(n(\phi - \psi_n)) \rangle$$

- Elliptic flow ( $v_2$ ) is sensitive to the system evolution:
  - It probes initial conditions and constraints particle production mechanisms
- The measurement of light nuclei  $v_n$  will help in the understanding of particle production mechanisms
  - Do light nuclei follow the mass ordering observed for lighter particles?
  - Do light nuclei follow a quark/baryon number scaling (coalescence) or follow mass scaling (hydro)?

# Flow analysis method

- $v_2$  is measured using the scalar product method
  - Hits measured by V0A ( $2.8 < \eta < 5.1$ ) and V0C ( $-3.7 < \eta < -1.7$ ) are used as reference particles
  - Deuteron candidates are the particles of interest ( $|\eta| < 0.8$ )

$$v_n\{\text{SP}\} = \frac{\left\langle u_{n,i}(p_T, \eta) \cdot \frac{Q_n^*}{M} \right\rangle}{\sqrt{\left\langle \frac{Q_{n,A}^*}{M_A} \cdot \frac{Q_{n,B}^*}{M_B} \right\rangle}}$$

- The contribution to the measured elliptic flow ( $v_2^{\text{Tot}}$ ) due to misidentified deuterons ( $v_2^{\text{Bkg}}$ ) was removed by studying the azimuthal correlations versus  $\Delta M$  ( $\Delta M = m_{\text{TOF}} - m_d$ )

$$v_n(\Delta M) = v_n^{\text{sig}} \frac{N^{\text{sig}}}{N^{\text{tot}}}(\Delta M) + v_n^{\text{bkg}}(\Delta M) \frac{N^{\text{bkg}}}{N^{\text{tot}}}(\Delta M)$$

- The yields  $N^{\text{Sig}}$  and  $N^{\text{Bkg}}$  are extracted from fits of the invariant mass distribution obtained with the TOF detector

