

WPCF 2024

welcomes you in Toulouse
France



Clocking the particle production and tracking quantum numbers balance and radial flow effects at top LHC energy with ALICE



Victor Gonzalez, Wayne State University
on behalf of the ALICE Collaboration

High-energy hadronic collisions



- Quantum numbers

- Conserved

- Strong collective expansion

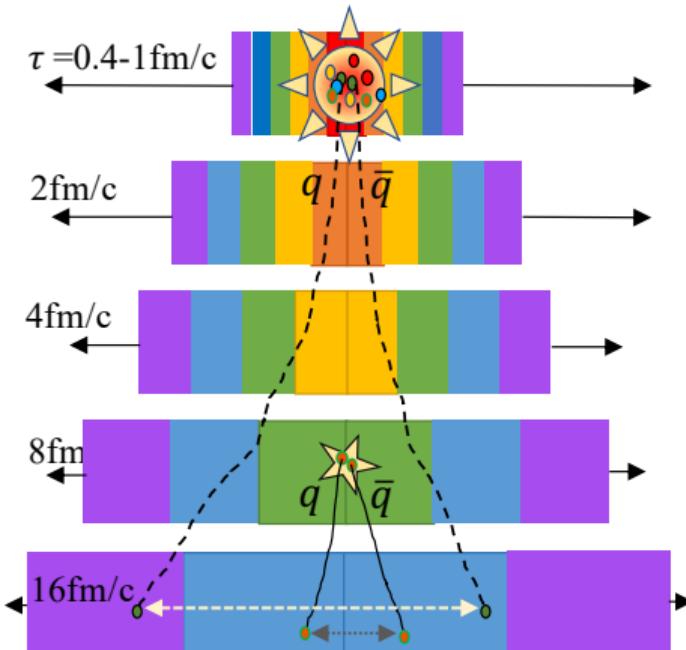
- After creation, pairs kept correlated
- The larger the pair lifetime the longer the correlation reach

- Full acceptance detector

- Quantum numbers fully balanced

- Balance function

- A measure of quantum number balance



S.Basu, P.Christiansen, A.Ohlon, D.Silvermyr,
EPJC **81** (2021) 11, 1024

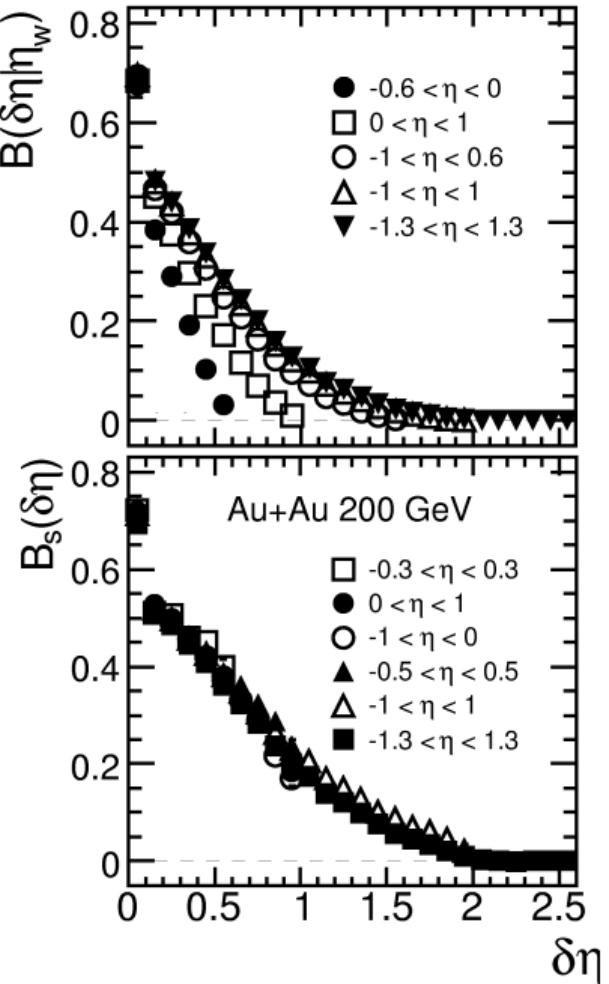
Charge balance function

S.A.Bass, P.Danielewicz and S.Pratt,
 PRL **85** (2000) 2689

$$B = \frac{1}{2} \left[\frac{N^{+-}}{N^+} - \frac{N^{--}}{N^-} + \frac{N^{-+}}{N^-} - \frac{N^{++}}{N^+} \right]$$

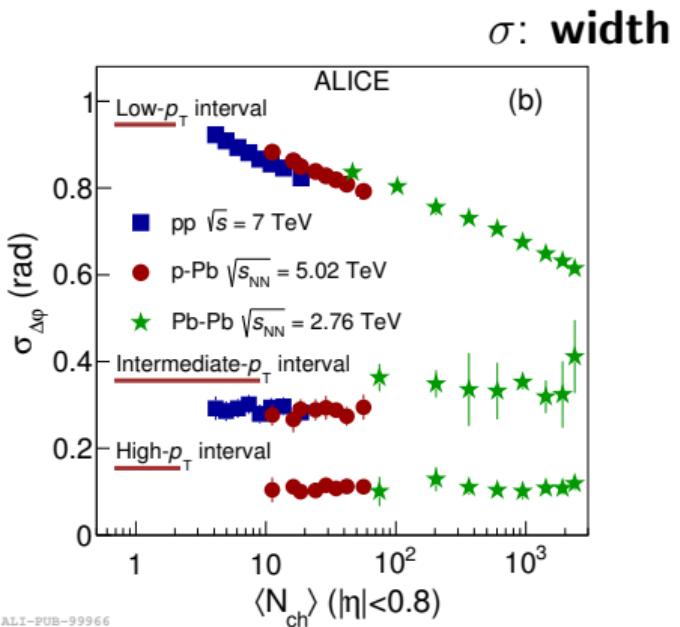
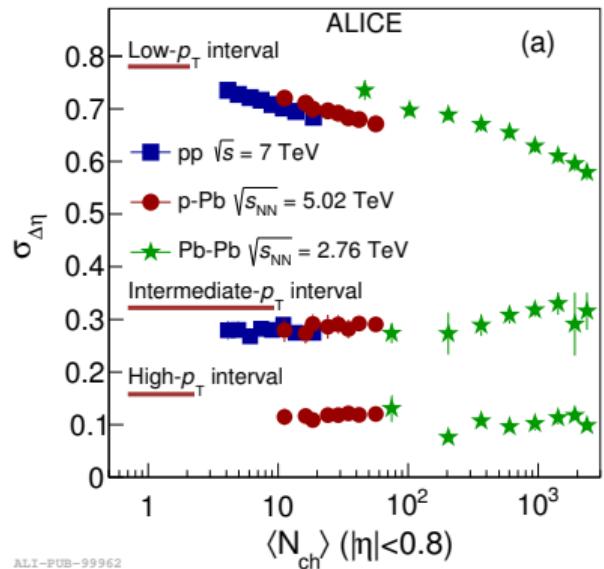
- Probing radial flow
- Clocking hadronization
- Acceptance effects
 - On the width (σ_B)
 - On the integral (I_B)

STAR, PRC **82** (2010) 024905



Charge balance function (unidentified particles)

ALICE, EPJ C 76 (2016) 86

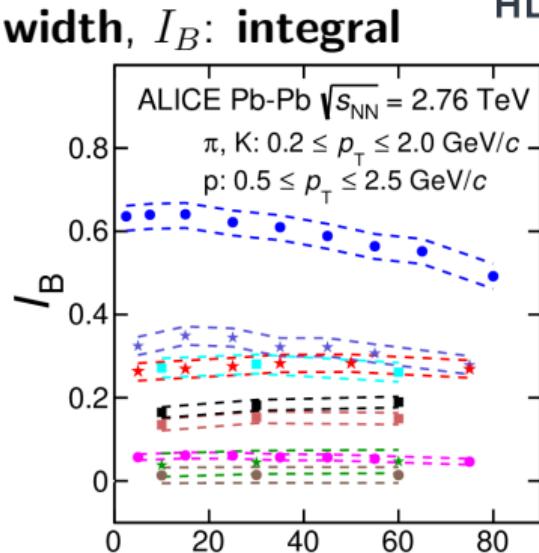
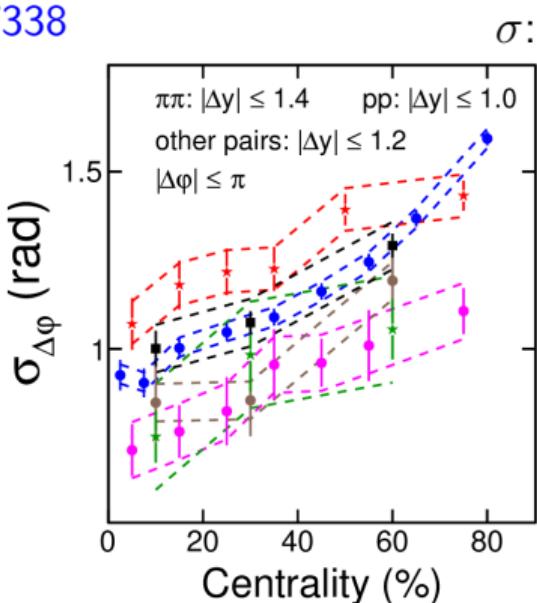
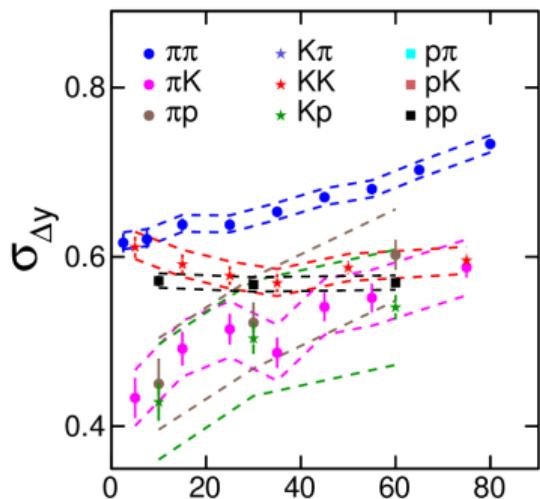


- In the “bulk” regime different mechanism for Pb–Pb
- At high p_T same mechanism along the three systems

Charge balance function (identified particles)



ALICE, PLB 833 (2022) 137338



ALI-PUB-530635

- Similar $B^{\pi\pi}$ and B^{KK} $\sigma_{\Delta y}$ from Au–Au at $\sqrt{s_{NN}} = 200$ GeV/c (STAR, PRC 82 (2010) 024905)
- **Consistent with radial flow and two-stages quark hadronization**
- **The balancing share appears independent of multiplicity**



Analysis goal

- Balance function of identified particles

- Hadronization of charged particles
- Tracking baryon hadronization
- Strangeness balancing

- A better measure of EbyE fluctuations?

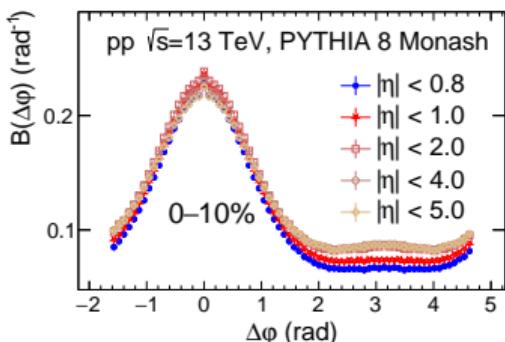
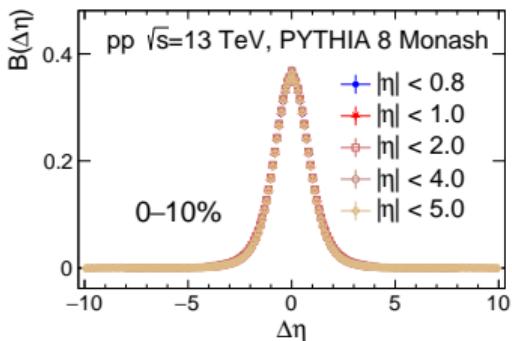
$$\nu_{\text{dyn}}^{\alpha\beta} = -R_2^{\alpha\bar{\beta}} + R_2^{\bar{\alpha}\bar{\beta}} - R_2^{\bar{\alpha}\beta} + R_2^{\alpha\beta}$$

$$B^{\alpha\beta} = \frac{1}{2} \left\{ \rho_1^{\bar{\beta}} \left[R_2^{\alpha\bar{\beta}} - R_2^{\bar{\alpha}\bar{\beta}} \right] + \rho_1^{\beta} \left[R_2^{\bar{\alpha}\beta} - R_2^{\alpha\beta} \right] \right\}$$

- It is usually suggested^[*]

$$B^{\alpha\beta Y} = -\frac{\langle N \rangle}{4} \nu_{\text{dyn}}^{\alpha\beta}$$

^[*]In general it is not true



BF robust to acceptance limitations

The balance function observable

- Generalized definition

$$B^{\alpha\beta}(\Delta\eta, \Delta\varphi) = \frac{1}{2} \left\{ \rho_1^{\bar{\beta}} \left[R_2^{\alpha\bar{\beta}} - R_2^{\bar{\alpha}\bar{\beta}} \right] + \rho_1^{\beta} \left[R_2^{\bar{\alpha}\beta} - R_2^{\alpha\beta} \right] \right\}$$

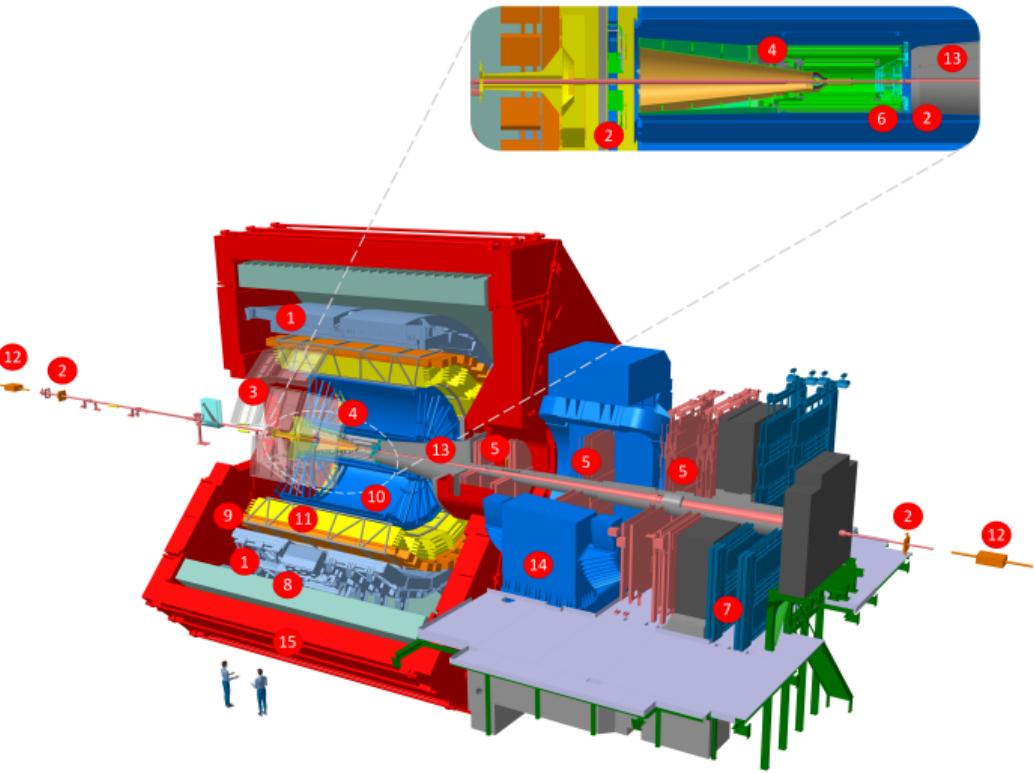
α, β : realization of the quantum numbers of interest

- Based on the second order normalized cumulant

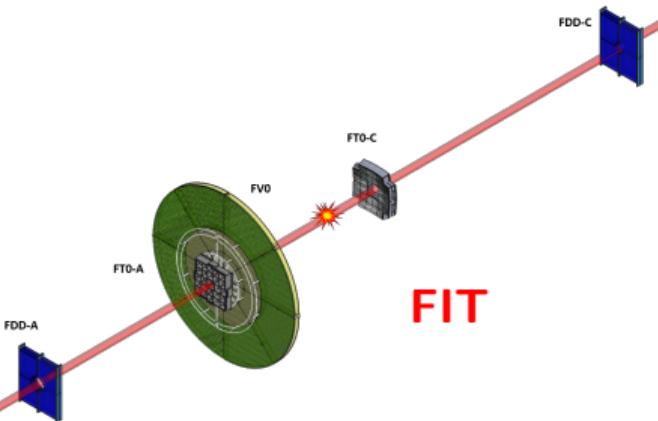
$$R_2^{\alpha\beta}(\Delta\eta, \Delta\varphi) = \frac{\langle n_2^{\alpha\beta} \rangle}{\langle n_1^\alpha \rangle \langle n_1^\beta \rangle} - 1 \quad \begin{cases} \rho_2^{\alpha\beta} = \frac{d^2 N^{\alpha\beta}}{d\Delta\eta d\Delta\varphi} \\ \rho_1^\alpha = \frac{d^2 N^\alpha}{d\eta d\varphi} \end{cases}$$

Automatically compensates for limited acceptance

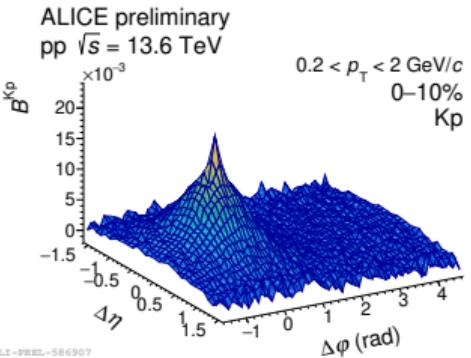
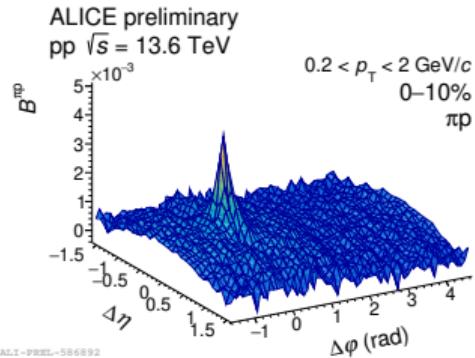
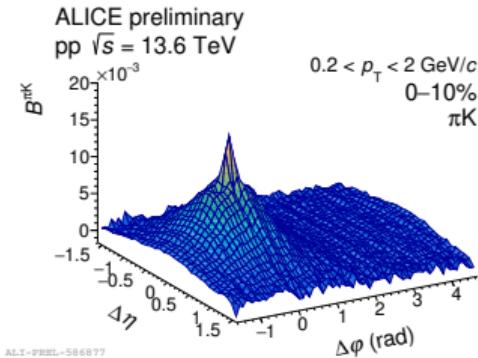
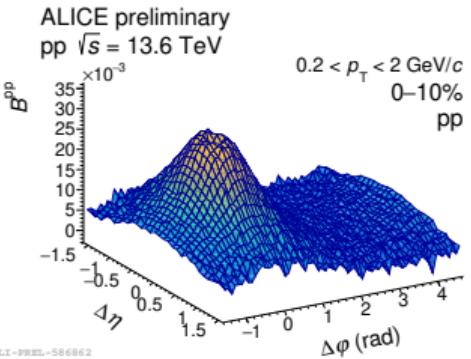
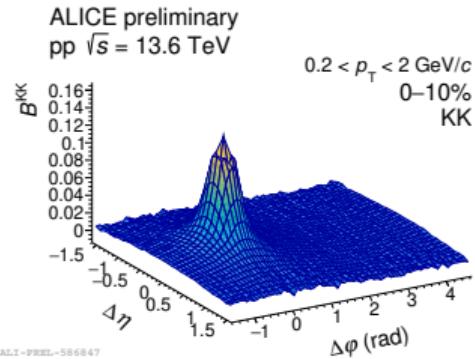
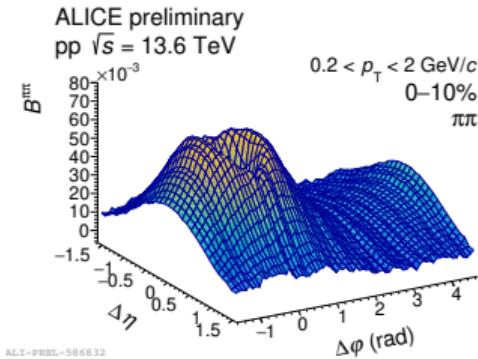
The ALICE2 detector (LHC Run 3)



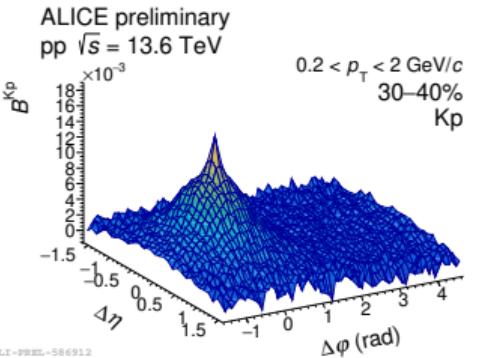
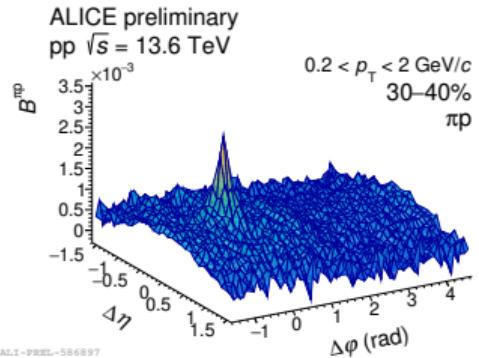
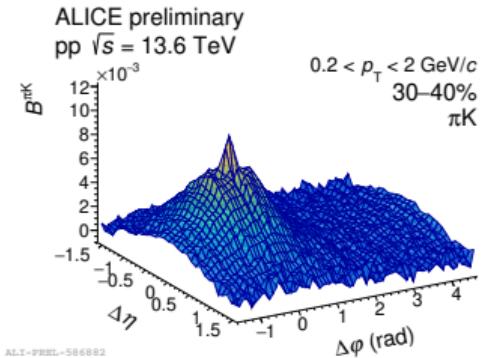
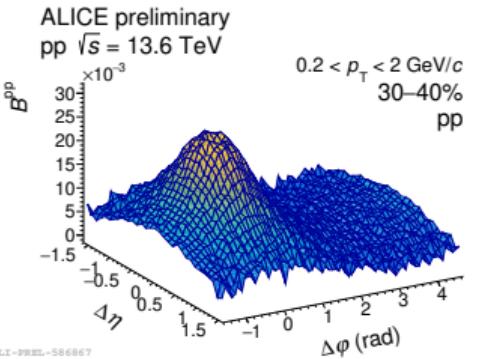
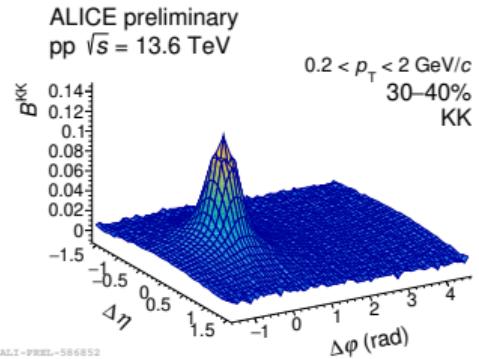
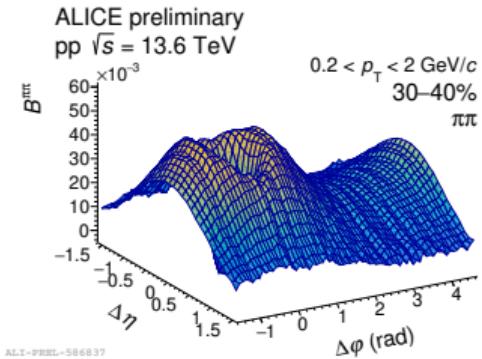
10 TPC
4 ITS
6 FIT-FV0
2 FIT-FT0



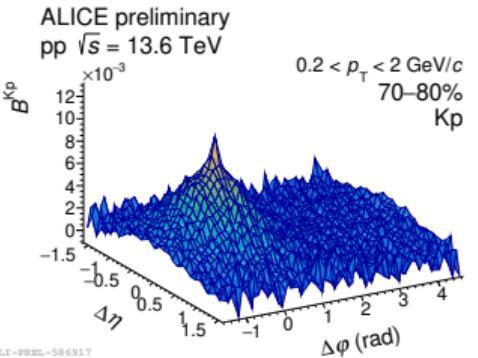
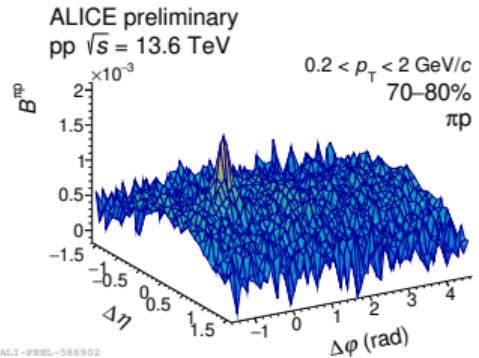
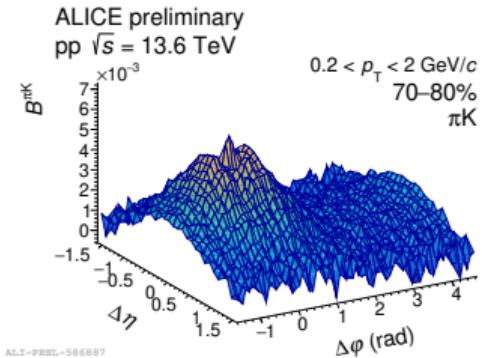
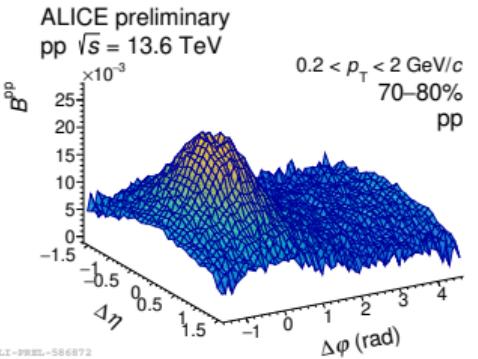
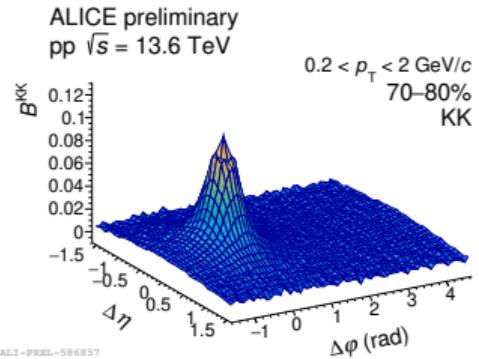
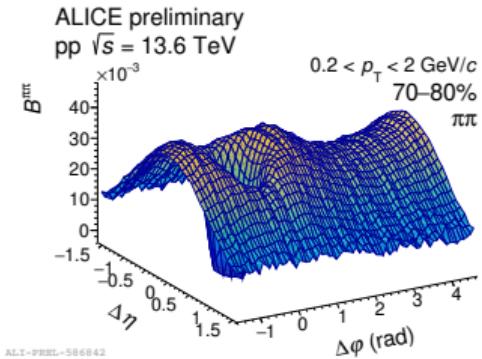
Charge $B^{\alpha\beta}$ of identified particles, 0–10%



Charge $B^{\alpha\beta}$ of identified particles, 30–40%



Charge $B^{\alpha\beta}$ of identified particles, 70–80%

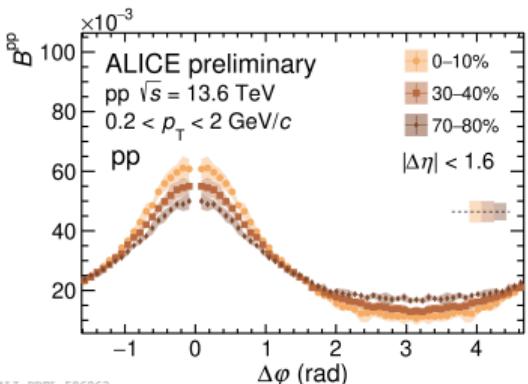
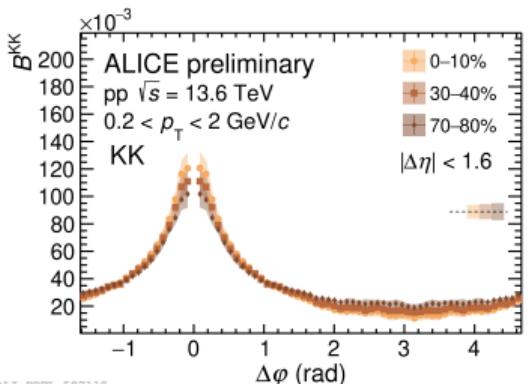
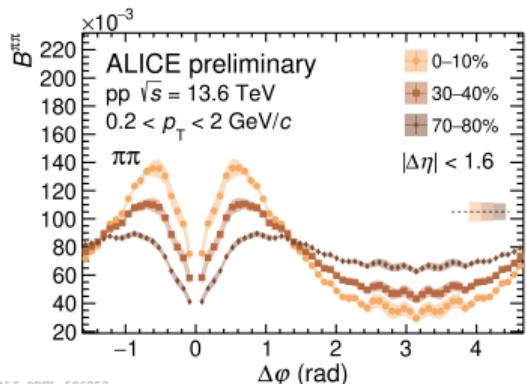
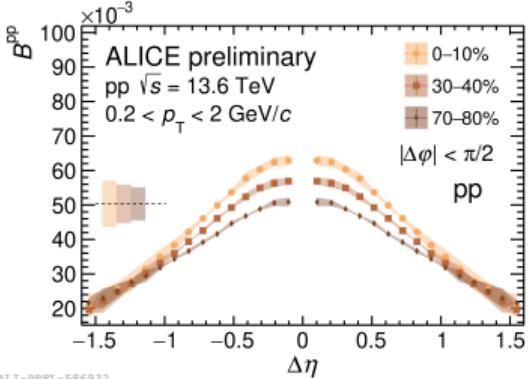
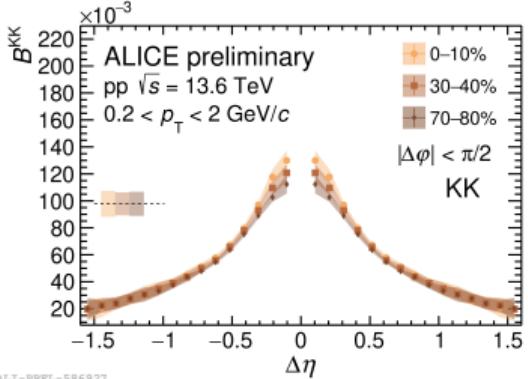
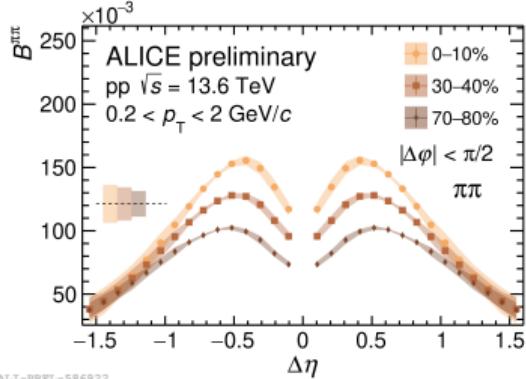




ALICE

Charge $B^{\alpha\beta}$ of identified particles

Projections. Same species

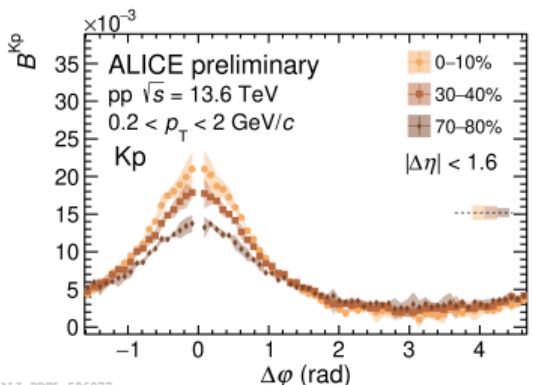
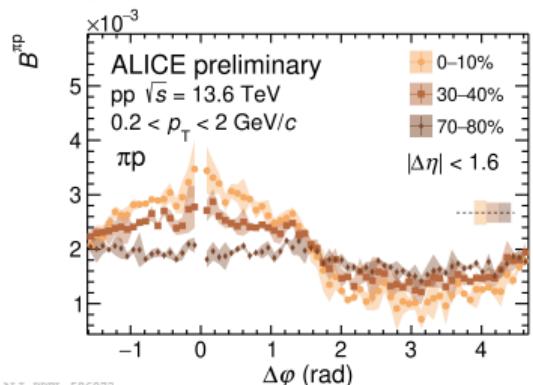
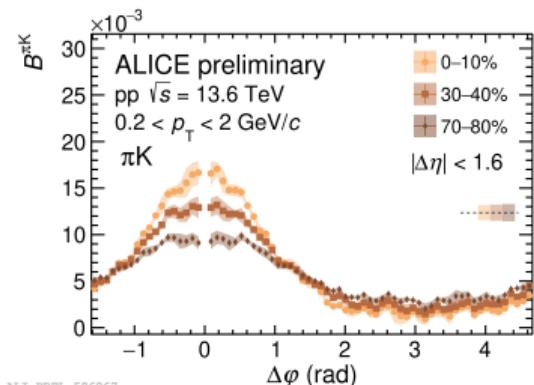
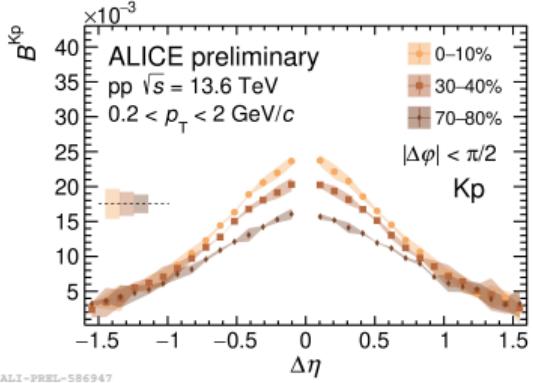
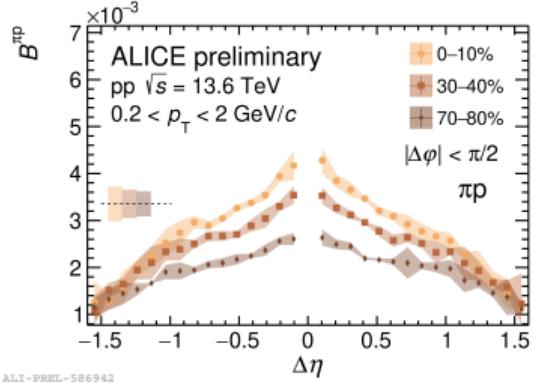
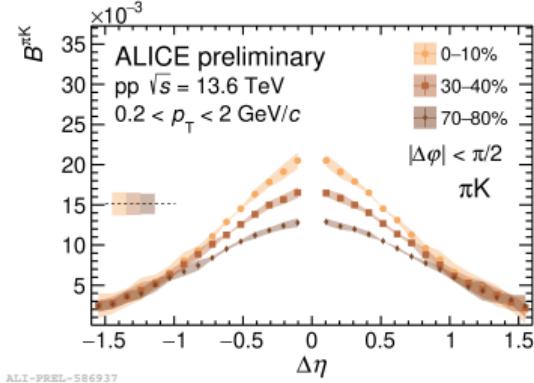




ALICE

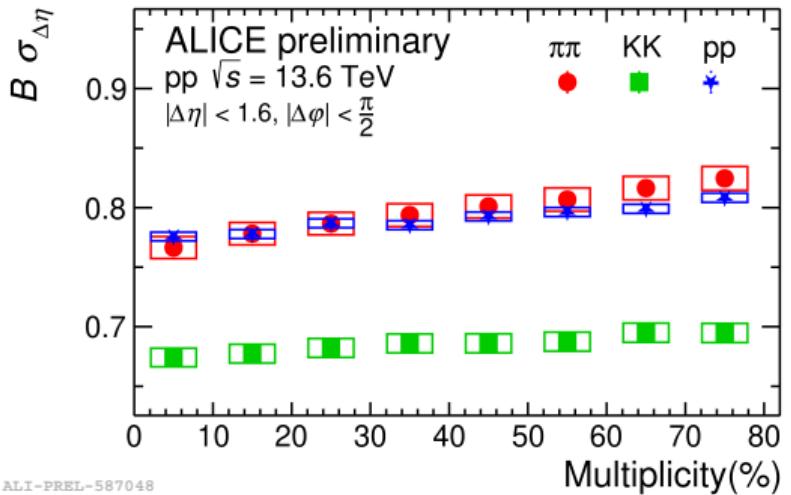
Charge $B^{\alpha\beta}$ of identified particles

Projections. Cross species

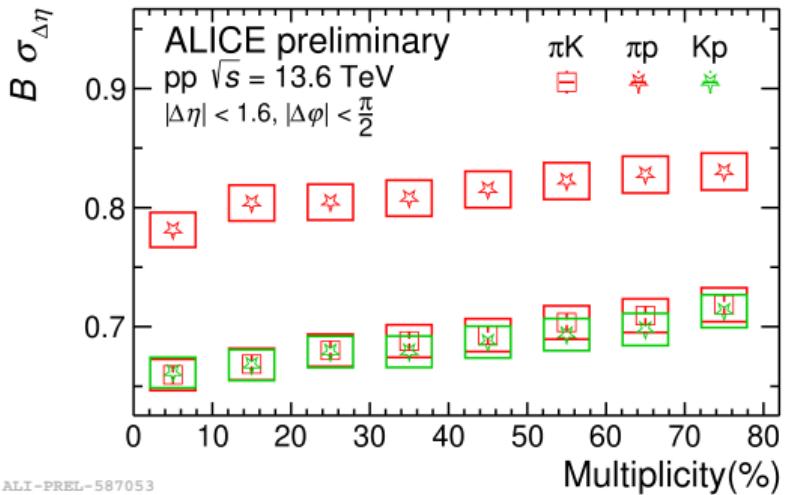


Charge $B^{\alpha\beta}$ of identified particles

Longitudinal width evolution with multiplicity



ALI-PREL-587048

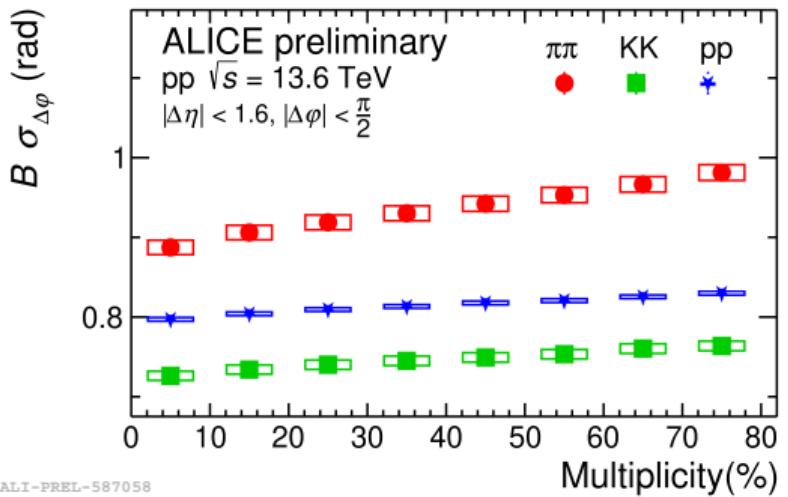


ALI-PREL-587053

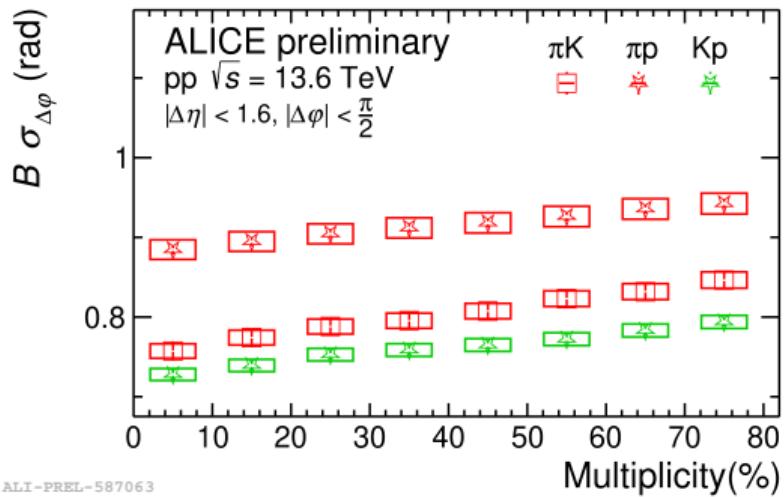
- Widths extracted as the RMS on the near-side peak
- **Strangeness enforces its width**
- **Same species (left), cross species (right)**

Charge $B^{\alpha\beta}$ of identified particles

Azimuthal widths evolution with multiplicity



ALI-PREL-587058

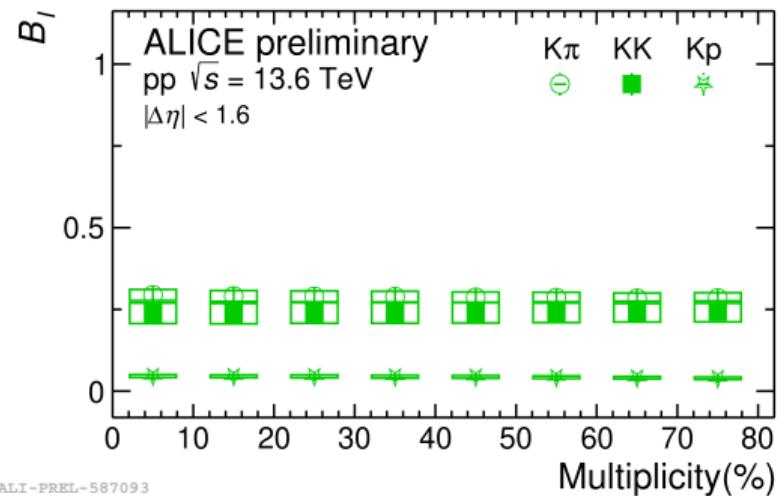
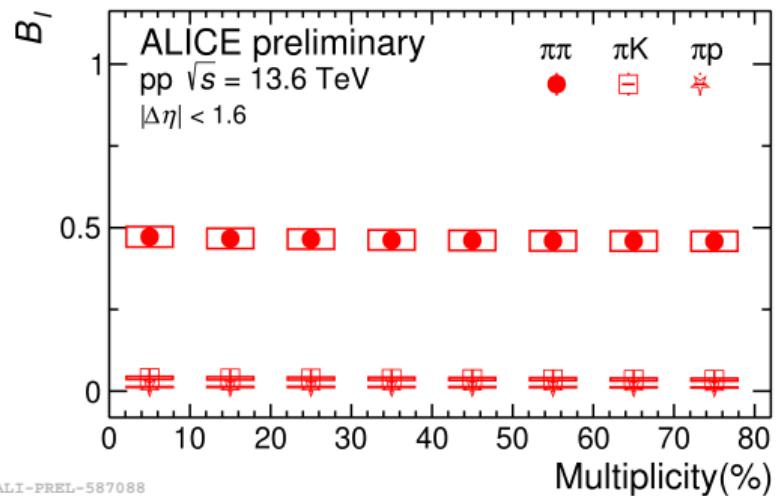


ALI-PREL-587063

- Widths extracted as the RMS on the near-side peak
- **Ordering but not mass based**
- **Same species (left), cross species (right)**

Charge $B^{\alpha\beta}$ of identified particles

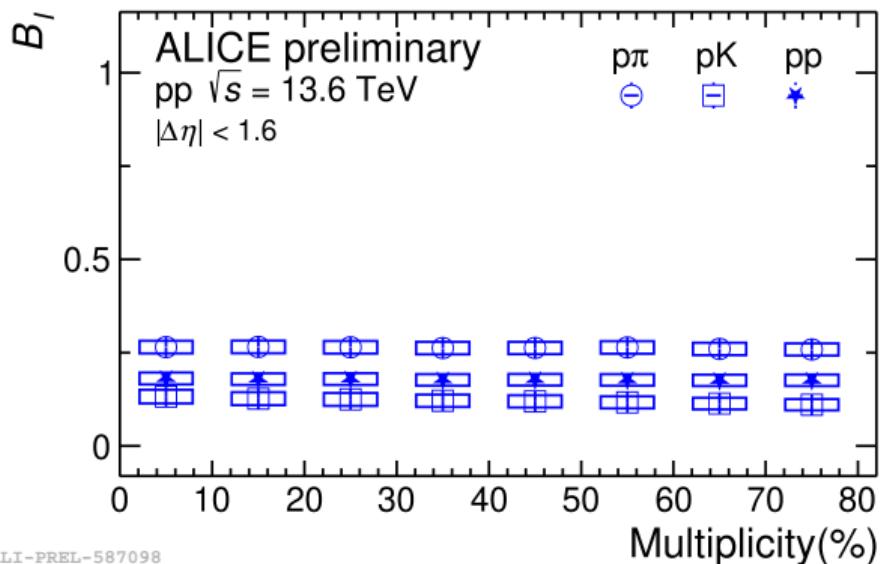
π (left) K (right) charge balancing



- Balancing share not multiplicity dependent
 - With complete acceptance, 4π , it should add up to one
- (C.Pruneau, VG, B.Hanley, A.Marin, S.Basu, PRC **107** (2023) 5, 054915)

Charge $B^{\alpha\beta}$ of identified particles

p charge balancing



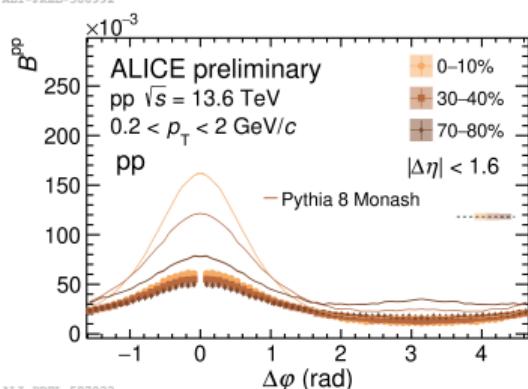
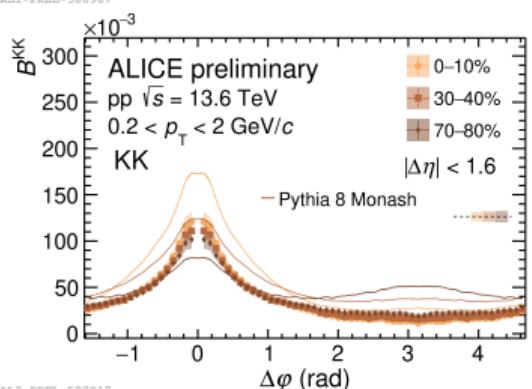
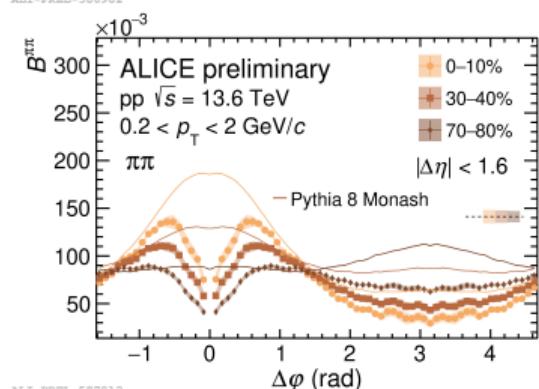
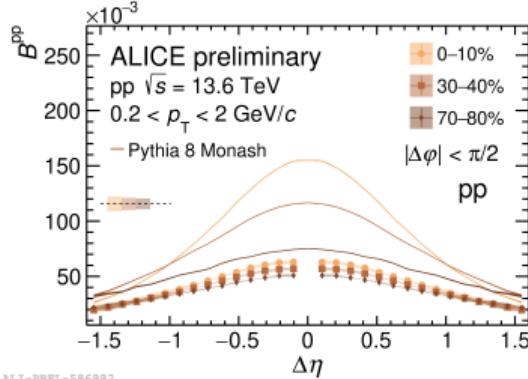
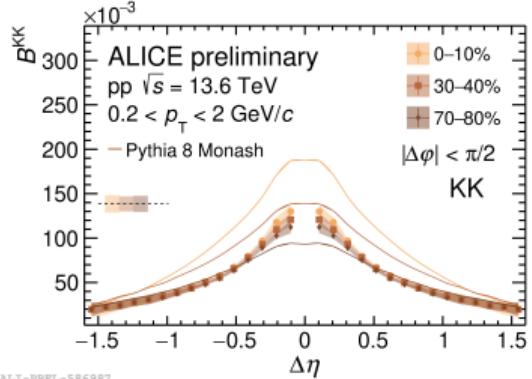
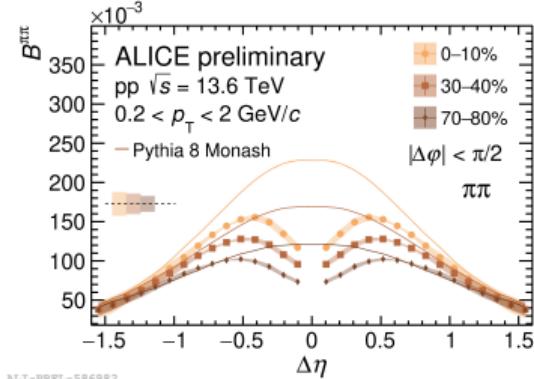
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Model comparison



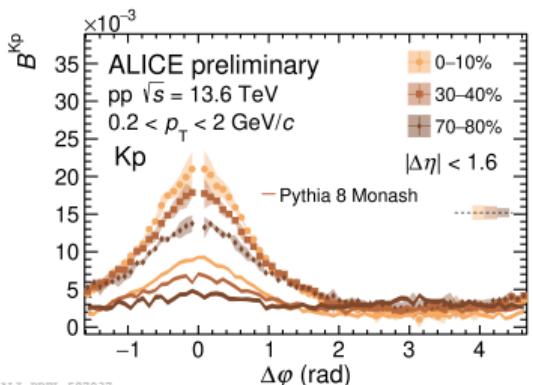
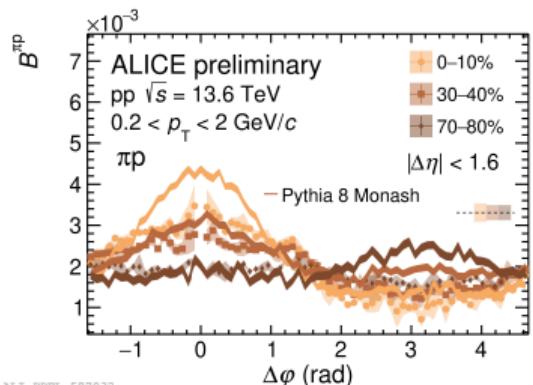
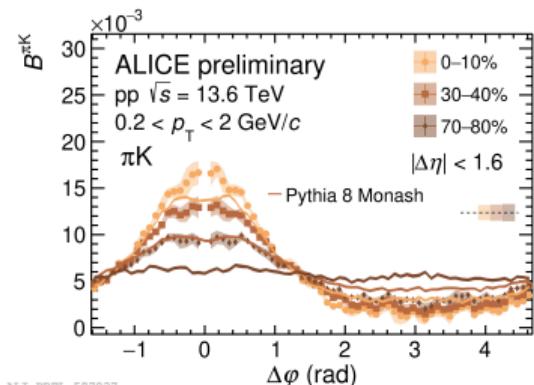
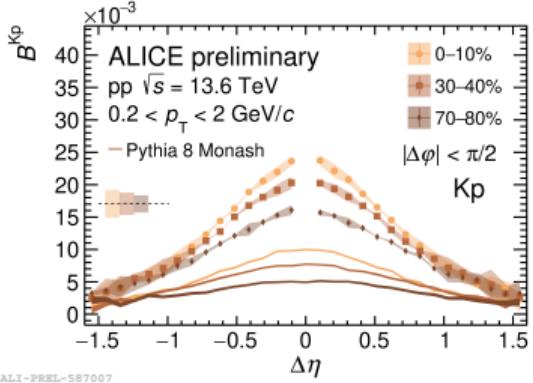
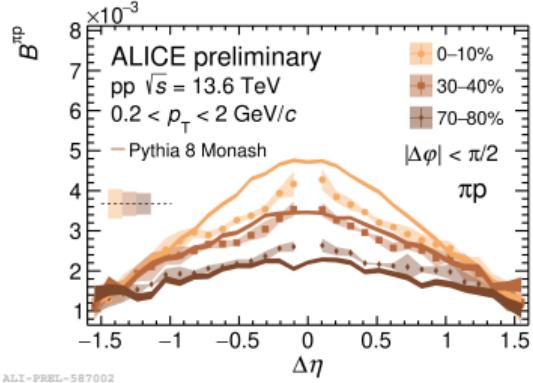
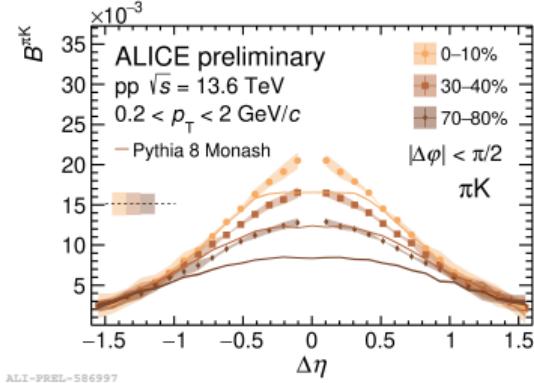
Charge $B^{\alpha\beta}$ of identified particles

Projections. Same species



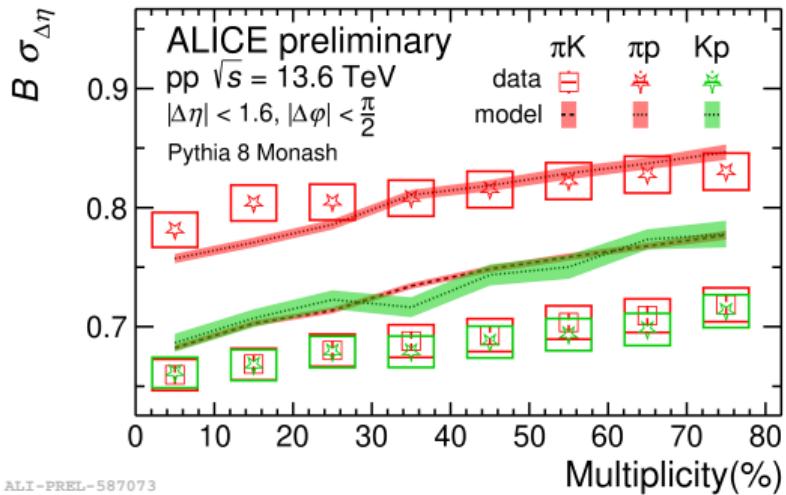
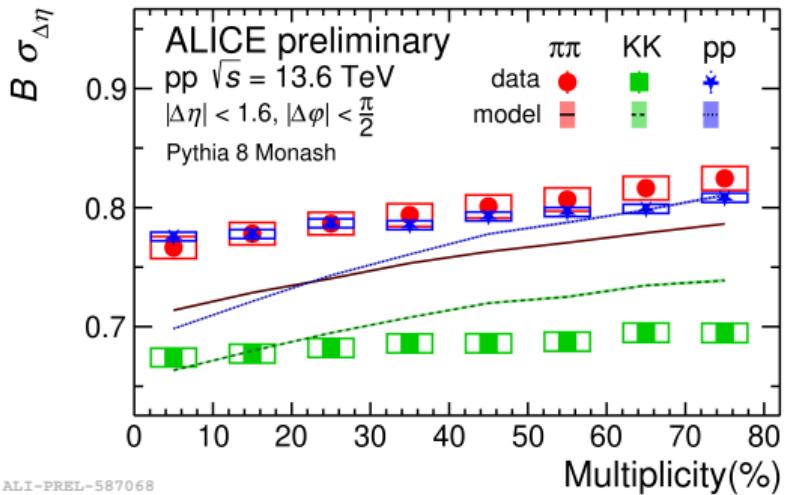
Charge $B^{\alpha\beta}$ of identified particles

Projections. Cross species



Charge $B^{\alpha\beta}$ of identified particles

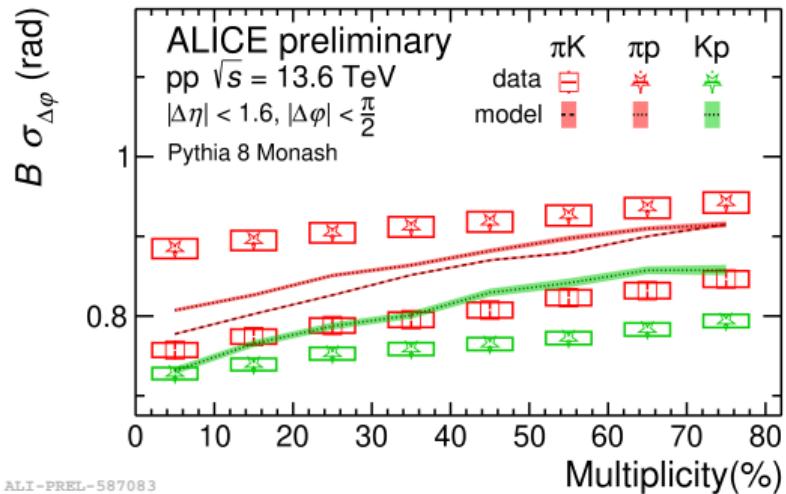
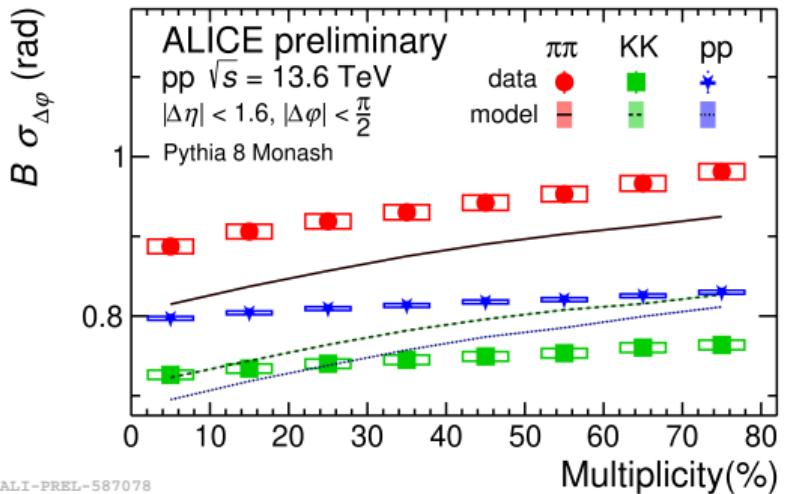
Longitudinal width evolution with multiplicity



- Model predicts the strangeness drive but only qualitatively
- Model predicts stronger narrowing
- Same species (left), cross species (right)

Charge $B^{\alpha\beta}$ of identified particles

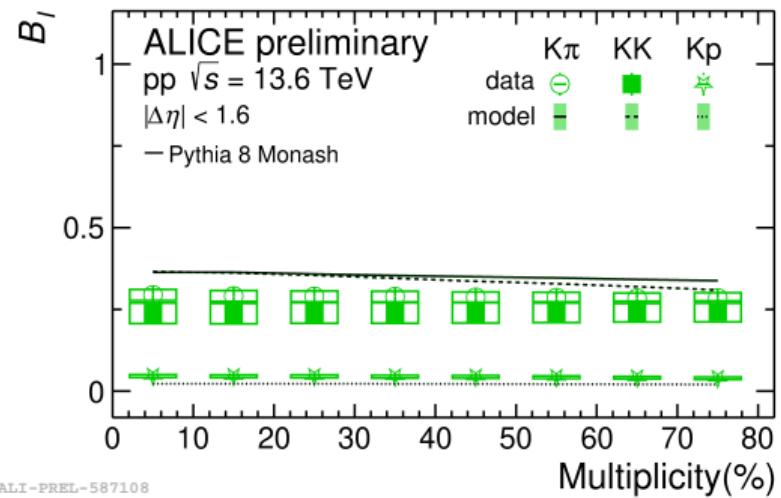
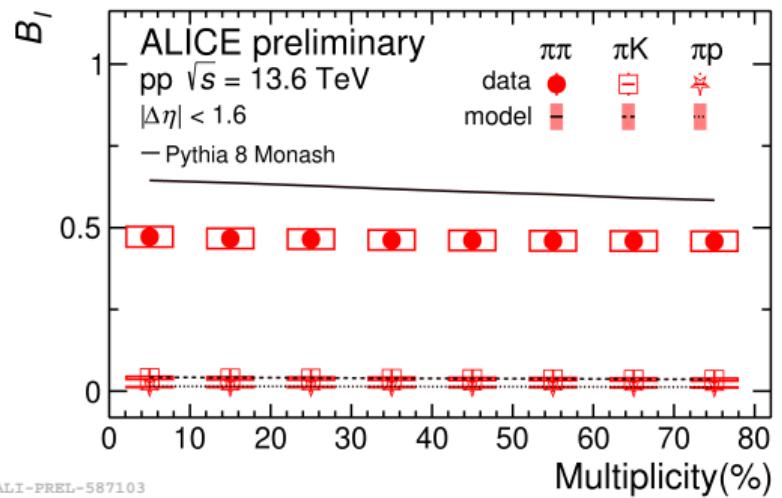
Azimuthal widths evolution with multiplicity



- Model does not preserve the same species ordering
- Model predicts stronger narrowing
- Same species (left), cross species (right)

Charge $B^{\alpha\beta}$ of identified particles

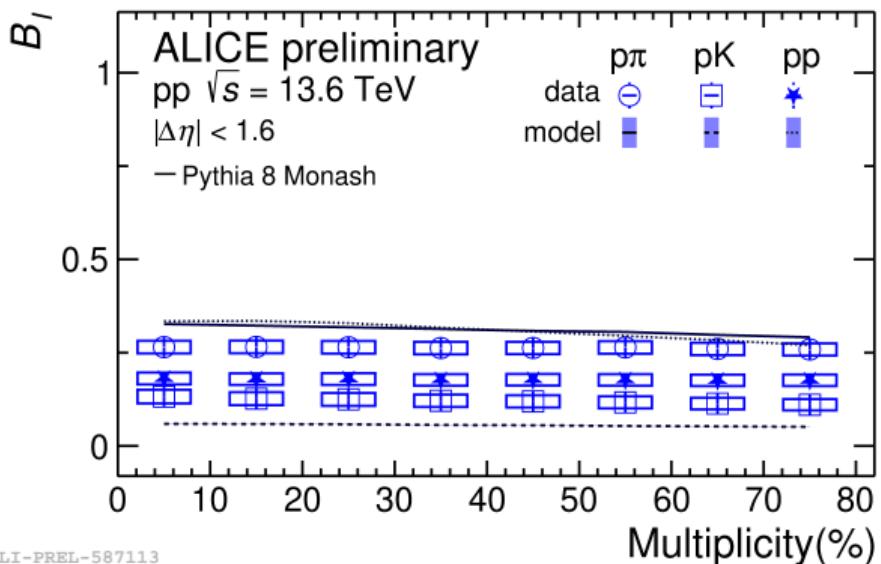
π (left) K (right) charge balancing



- Rebalancing towards the away side probably drives the multiplicity dependence shown by model
- Unequal balancing reproduction although right fraction order

Charge $B^{\alpha\beta}$ of identified particles

p charge balancing



- Rebalancing towards the away side probably drives the multiplicity dependence shown by model
- Balance fraction not reproduced

Concluding

- General and charge $B^{\alpha\beta}$

- Is there any sign of two stages hadronization?
 - Longitudinally, strangeness imposes its width
 - Azimuthally, ordering
- Is the balancing share multiplicity dependent?
 - No, it is not!

- Baryon B^{pp}

- The balancing share for protons is the same for charge as for baryon number

- Strangeness B^{KK}

- The balancing share for kaons is the same for charge as for strangeness

Concluding

- General and charge $B^{\alpha\beta}$

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- The balancing share for kaons is the same for charge as for strangeness

Thank you!