

# New constraint for Isotropic Lorentz Violation from LHC data

IRN Terascale, Frascati – 15/04/2024

Based on [arxiv:2312.11307](https://arxiv.org/abs/2312.11307)

Accepted by PRL

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Lorentz-violating Standard Model Extension (SME) is motivated by string theory, quantum loop theory and non commutative field theory. All operators that break Lorentz symmetry are added.

$$\mathcal{L}_{SME} = -\frac{1}{4}(\eta^{\mu\rho}\eta^{\nu\sigma} + \kappa^{\mu\nu\rho\sigma})F_{\mu\nu}F_{\rho\sigma} + \frac{1}{2}\bar{\psi}(\gamma^\mu iD_\mu - m_f)\psi + h.c$$

The dispersion relation is modified such as :

$$\omega = \sqrt{\frac{1 - \tilde{\kappa}_{tr}}{1 + \tilde{\kappa}_{tr}}} |\mathbf{k}|$$

2 Cases :

$$\tilde{\kappa}_{tr} \in (0, 1) \implies v_{gr} < 1 \quad \text{Cherenkov radiation}$$

$$\tilde{\kappa}_{tr} \in (-1, 0) \implies v_{gr} > 1 \quad \text{Photon decay in vacuum}$$

- **Parametrize** the Lorentz invariance violation
- Contains **19 independants coefficients**
- They are **tensors**, staying **constant** (not transforming) under a **Lorentz transformation**, thereby breaking Lorentz invariance
- Only **one degree of freedom** describes Lorentz violation effects that are **spatially isotropic** :  $\tilde{\kappa}_{tr}$

# Existing bounds

arXiv:0801.0287v17

Table D16. Photon sector,  $d = 4$  (part 1 of 7)

Combination	Result	System	Ref.
$(\tilde{\kappa}_{e-})^{XY}$	$(-2.3 \pm 5.4) \times 10^{-17}$	Rotating optical resonators	[148]
$ \tilde{\kappa}_{e-} ^{XY}$	$< 2.7 \times 10^{-22}$	Laser interferometry	[149]
$(\tilde{\kappa}_{e-})^{XY}$	$(0.8 \pm 0.4) \times 10^{-17}$	Rotating optical resonators	[150]
"	$(-0.7 \pm 1.6) \times 10^{-18}$	Sapphire cavity oscillators	[151]
"	$(0.8 \pm 0.6) \times 10^{-16}$	Rotating microwave resonators	[152]
"	$(-0.31 \pm 0.73) \times 10^{-17}$	Rotating optical resonators	[153]
"	$(0.0 \pm 1.0 \pm 0.3) \times 10^{-17}$	"	[154]
"	$(-0.1 \pm 0.6) \times 10^{-17}$	"	[155]
"	$(-7.7 \pm 4.0) \times 10^{-16}$	Optical, microwave resonators	[78]*
"	$(2.9 \pm 2.3) \times 10^{-16}$	Rotating microwave resonators	[156]
"	$(-3.1 \pm 2.5) \times 10^{-16}$	Rotating optical resonators	[157]
"	$(-0.63 \pm 0.43) \times 10^{-15}$	Rotating microwave resonators	[158]

**Anisotropic effects** are well constrained with laboratory experiment

arXiv:0801.0287v17

Table D16. Photon sector,  $d = 4$  (part 5 of 8)

Combination	Result	System	Ref.
$\tilde{\kappa}_{tr}$	$> -1.06 \times 10^{-13}$	Collider physics	[76]
"	$< 3 \times 10^{-20}$	Astrophysics	[177]*
$-(\tilde{\kappa}_{tr} - \frac{4}{3}c_{00}^e)$	$< 6 \times 10^{-21}$	"	[178]*
$ \tilde{\kappa}_{tr} $	$< 6.43 \times 10^{-18}$	"	[179]
$\tilde{\kappa}_{tr}$	$> -3 \times 10^{-19}$	"	[180]*

Our result improves previous result from D0

$$\tilde{\kappa}_{tr} > -5.8 \times 10^{-12}$$

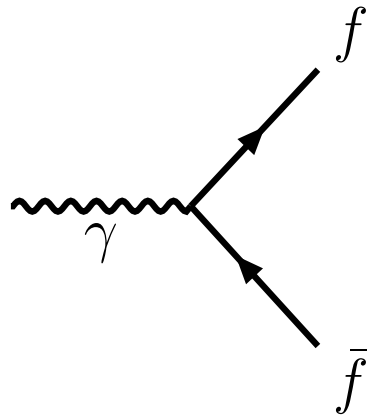
with a factor of  $\sim 55$

**Isotropic effects** are mainly constrained with astrophysics, but the photon source is not controlled

Earth-based laboratory experiments are **less model dependent**

In the SM, photons decaying in the vacuum **is forbidden**

We look at photons decaying to **fermions-antifermions pairs**



This process is governed by a **threshold** :

$$E^{th} = 2m_e \sqrt{\frac{1 - \tilde{\kappa}_{tr}}{-2\tilde{\kappa}_{tr}}}$$

This process is only allowed for  $\tilde{\kappa}_{tr} < 0$ , and we retrieve the SM limit for  $\tilde{\kappa}_{tr} \rightarrow 0$  where the threshold goes to infinity since this process is forbidden when the symmetry is intact

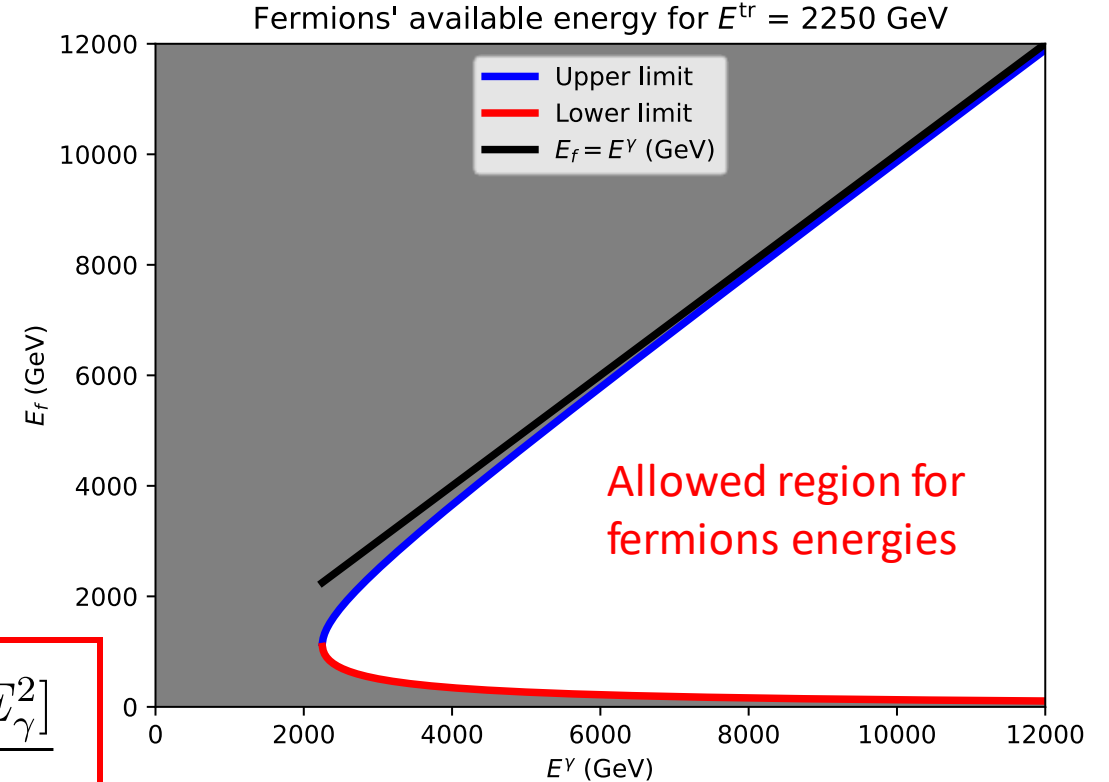
The created fermion energy lies within the interval :

$$E_f \in \left[ \frac{1}{2}(E_\gamma - \bar{E}), \frac{1}{2}(E_\gamma + \bar{E}) \right]$$

$$\bar{E} = \sqrt{\frac{1 + \tilde{\kappa}_{tr}}{1 - \tilde{\kappa}_{tr}} \left[ E_\gamma^2 + 2\left(\frac{1}{\tilde{\kappa}_{tr}} - 1\right)m_f^2 \right]}$$

The partial decay width as a function of the energy of the final fermion has been computed and is expressed as :

$$\frac{d\Gamma}{dE_f} = \frac{\alpha \left[ (1 - \tilde{\kappa}_{tr}) \left[ 2\tilde{\kappa}_{tr} E_f (E_\gamma - E_f) + (1 + \tilde{\kappa}_{tr}) m_f^2 \right] - \tilde{\kappa}_{tr} E_\gamma^2 \right]}{(1 + \tilde{\kappa}_{tr})^2 \sqrt{1 - \tilde{\kappa}_{tr}^2 E_\gamma^2}}$$

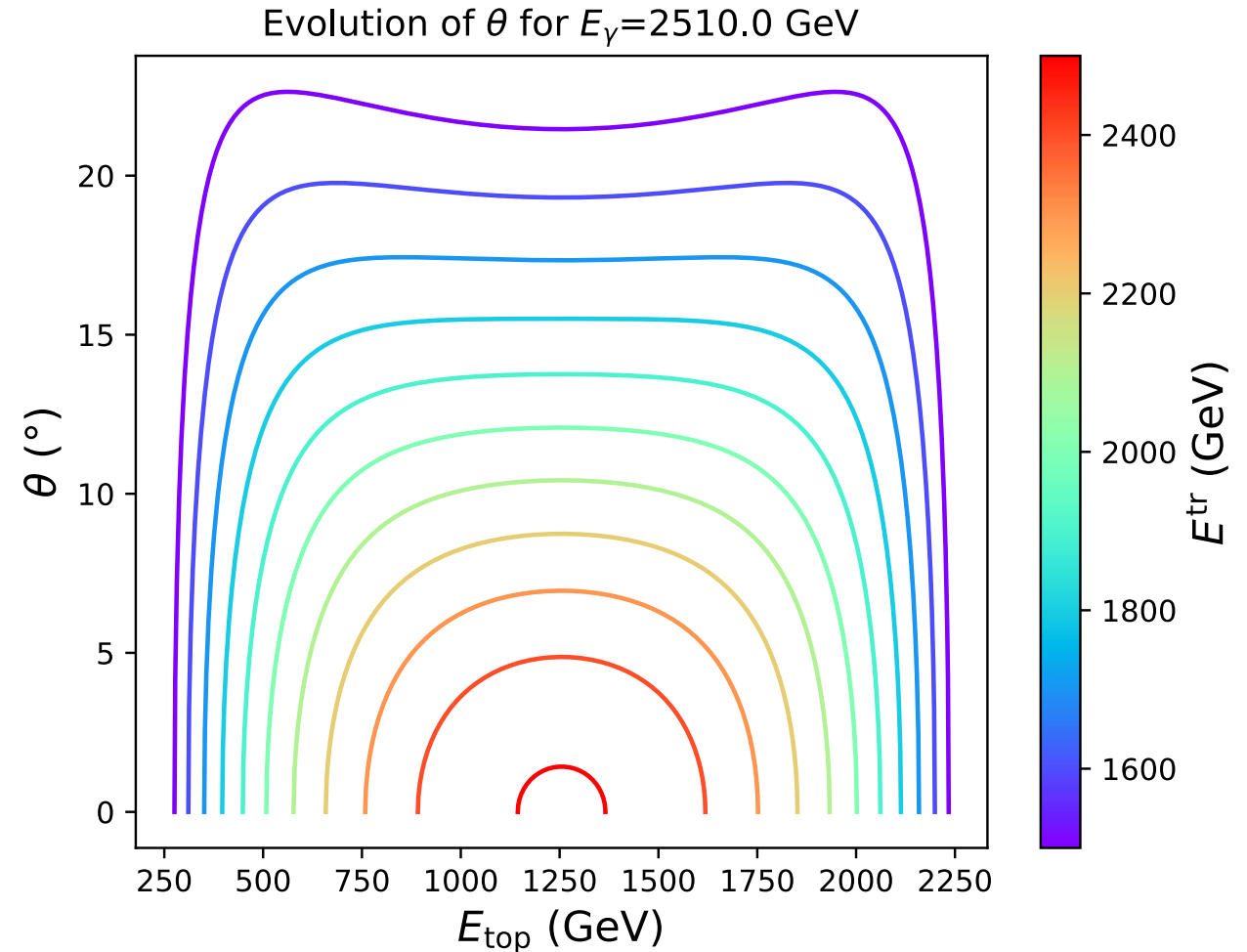


If the upcoming-photon energy exceeds the threshold, the surplus is used to provide a **nonzero**  $\theta$  angle between fermions such as

$$\cos \theta = \frac{E_f(E_\gamma - E_f) + \frac{\tilde{\kappa}_{tr}}{1-\tilde{\kappa}_{tr}} E_\gamma^2 + m_f^2}{\sqrt{[E_f^2 - m_f^2][(E_\gamma - E_f)^2 - m_f^2]}}$$

Where  $E_\gamma$  and  $E_f$  are the energies of the incoming photon and outgoing fermions

As an illustration, we can look at the decay of photons into top quarks pairs



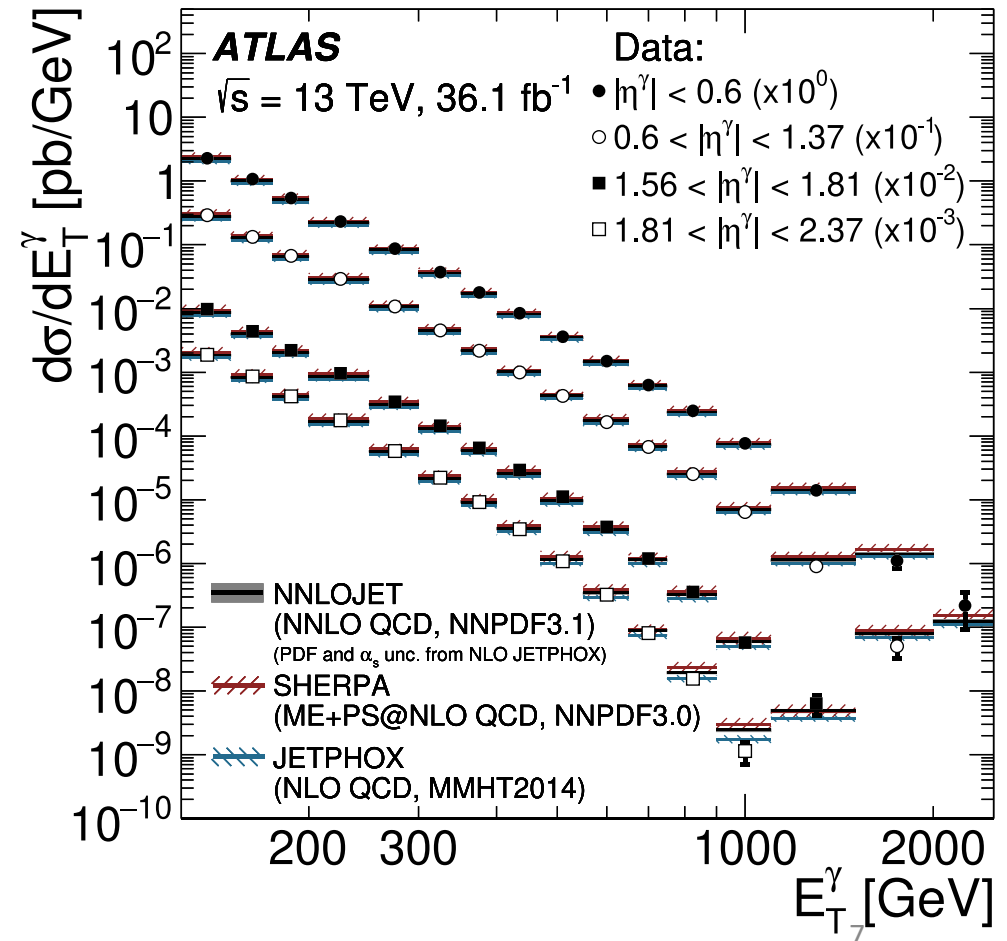
To constrain  $\tilde{\kappa}_{tr}$ , we need to find the **threshold energy** above which photons could decay in the vacuum.

We suppose that photons **decay to electrons**.  
Therefore, we analyze the number of photons as a function of  $E_\gamma$

We reinterpret ATLAS results of  $E_\gamma^T$  for the process :

$$p p \rightarrow \gamma + X \quad (\text{ATLAS inclusive photon measurement})$$

ATLAS collaboration, arXiv:1908.02746



Generate a sample of Sherpa  $p p \rightarrow \gamma +$  up to 3 jets at LO  
 ATLAS MC sample is at NLO + up to 3 jets at LO  
 The event is reweighted to match ATLAS MC sample

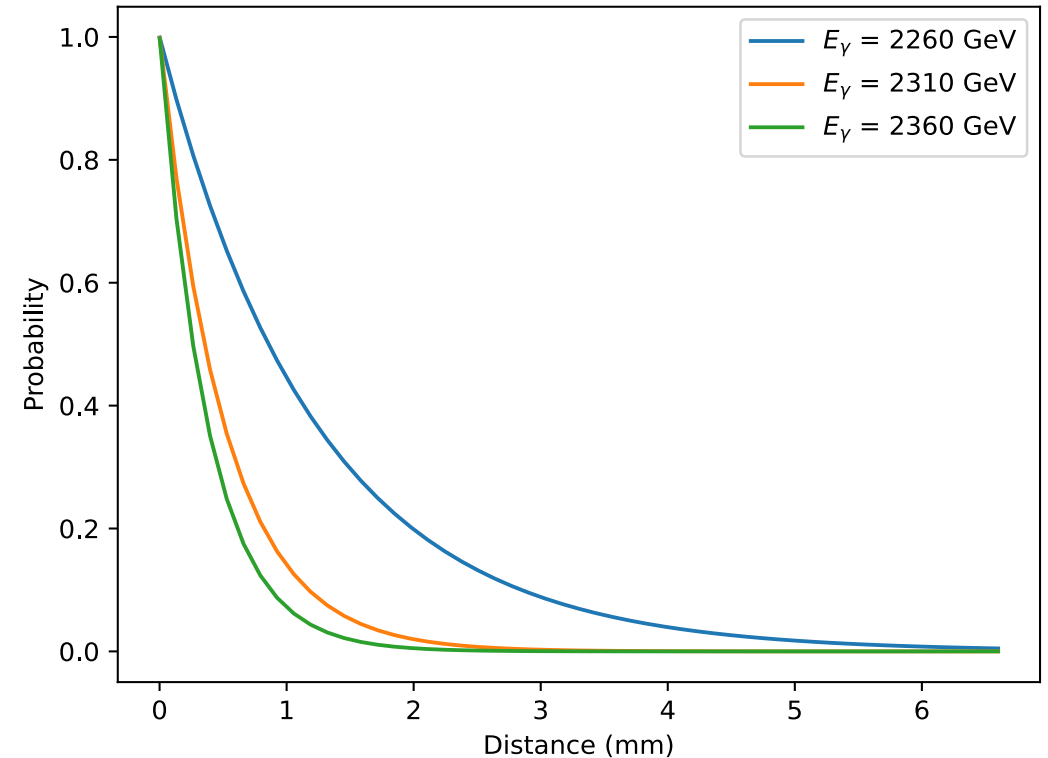
$$\frac{MC_{ATLAS,i}}{MC_{local,i}}$$

For each simulated event, if  $E_\gamma > E_{tr}$  the photon decays with a probability of  $1 - e^{-\Gamma x}$  with

$$\Gamma = \int_{\frac{E_\gamma - \bar{E}}{2}}^{\frac{E_\gamma + \bar{E}}{2}} \frac{d\Gamma}{dE_f} dE_f$$

Fermion's energy is randomly chosen following  $\frac{d\Gamma}{dE_f}$  with

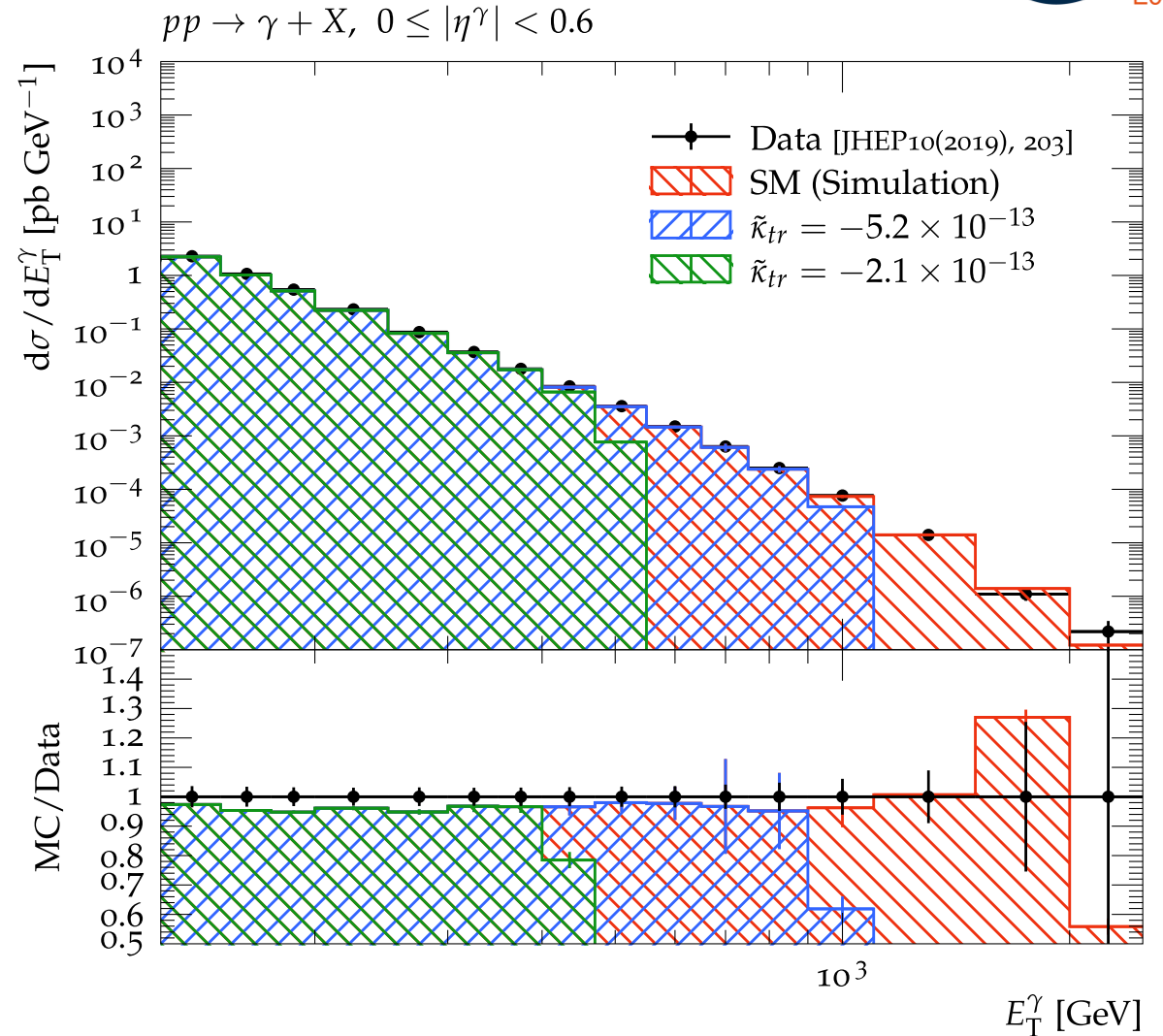
$$E_f \in \left[ \frac{1}{2}(E_\gamma - \bar{E}), \frac{1}{2}(E_\gamma + \bar{E}) \right]$$





# Search for disappearing photon

- If the photon does not decay, **we add it's**  $E_T$  to the histogram
- The procedure mentioned before is **apply to a range of**  $E_{tr}$ . We clearly see the effect of the threshold on the histogram
- **Signature: disappearing photon** in the  $E_T^\gamma$  spectrum



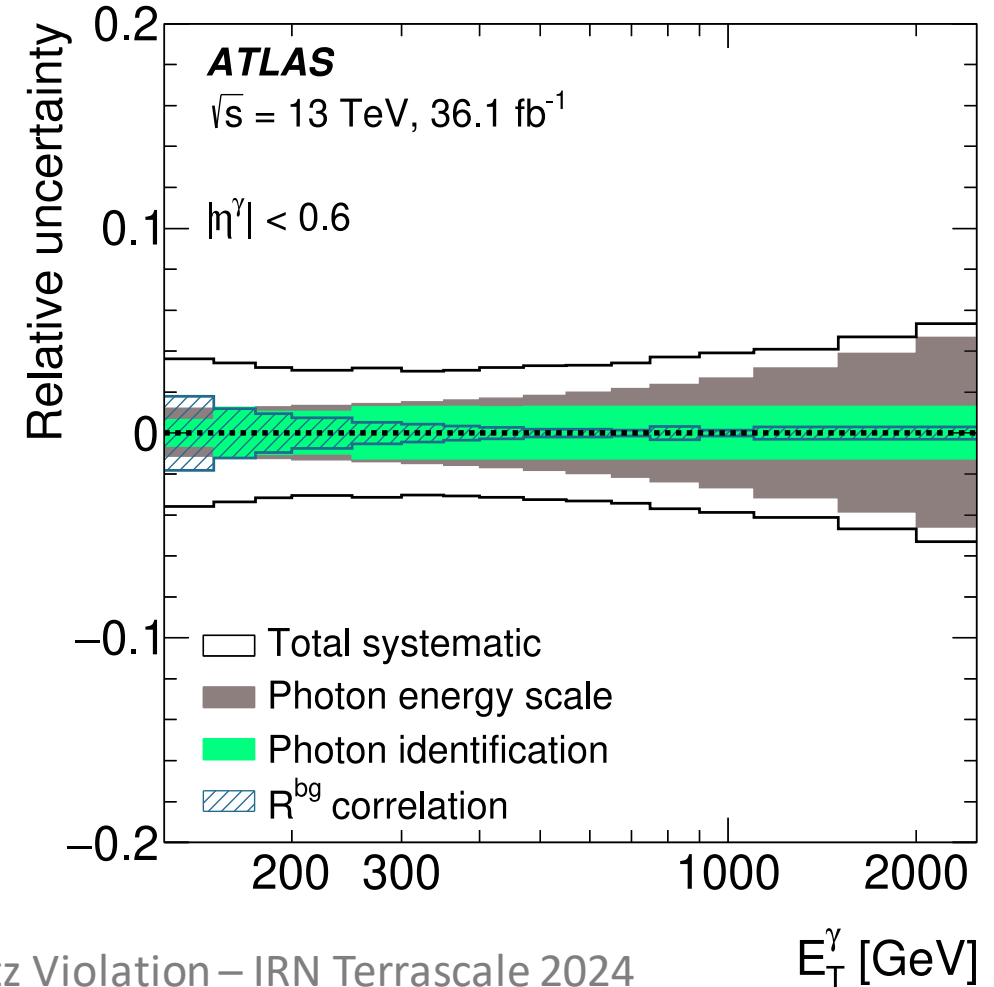
We introduce a **photon decay uncertainty**.

In the ATLAS measurement, the photon identification uncertainty is **less than 1.5%**.

We assign the value of the photon identification uncertainty to **the probability of an e+/e- to be reconstructed as a photon**.

- If one of them is reconstructed as a photon, **we add its Et to the histogram**
- If both of them are reconstructed as photons, we add the highest  $p_T$  electron to the  $E_T^\gamma$  histogram.

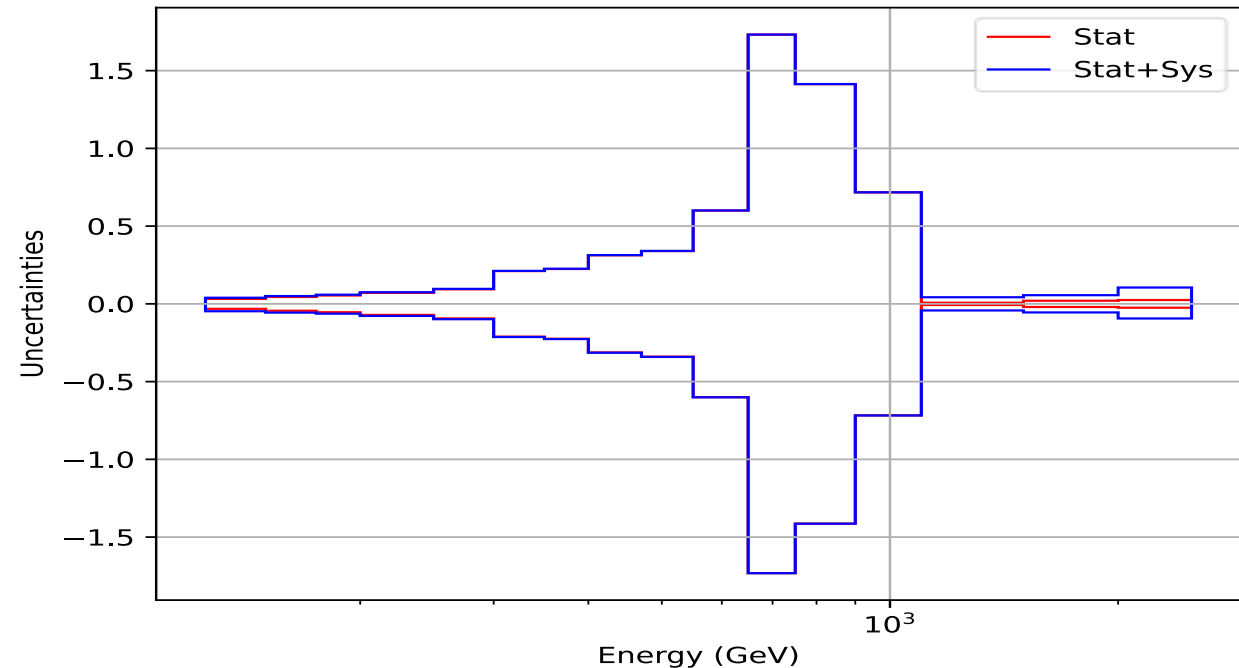
ATLAS collaboration, arXiv:1908.02746



The data systematic uncertainties are **already given by the ATLAS measurement**. We take them from HepData.

They include :

- the background subtraction
- the unfolding
- the pile-up
- the trigger efficiency
- the luminosity measurement
- the photon energy scale and resolution



Their values are **added in quadrature** and treated conservatively as a **separate Gaussian nuisance parameter** for each bin.

The **CLs method** is used to set a limit on  $\tilde{\kappa}_{tr}$   
 With **q** the **likelihood ratio** of the BSM against the SM hypothesis, we define :

$$CL_{s+b} = p_{s+b} = P(q > q_{obs} | s + b) = \int_{q_{obs}}^{inf} f(q | s + b) dq$$

$$CL_b = 1 - p_b = 1 - P(q < q_{obs} | b) = 1 - \int_{inf}^{q_{obs}} f(q | b) dq$$

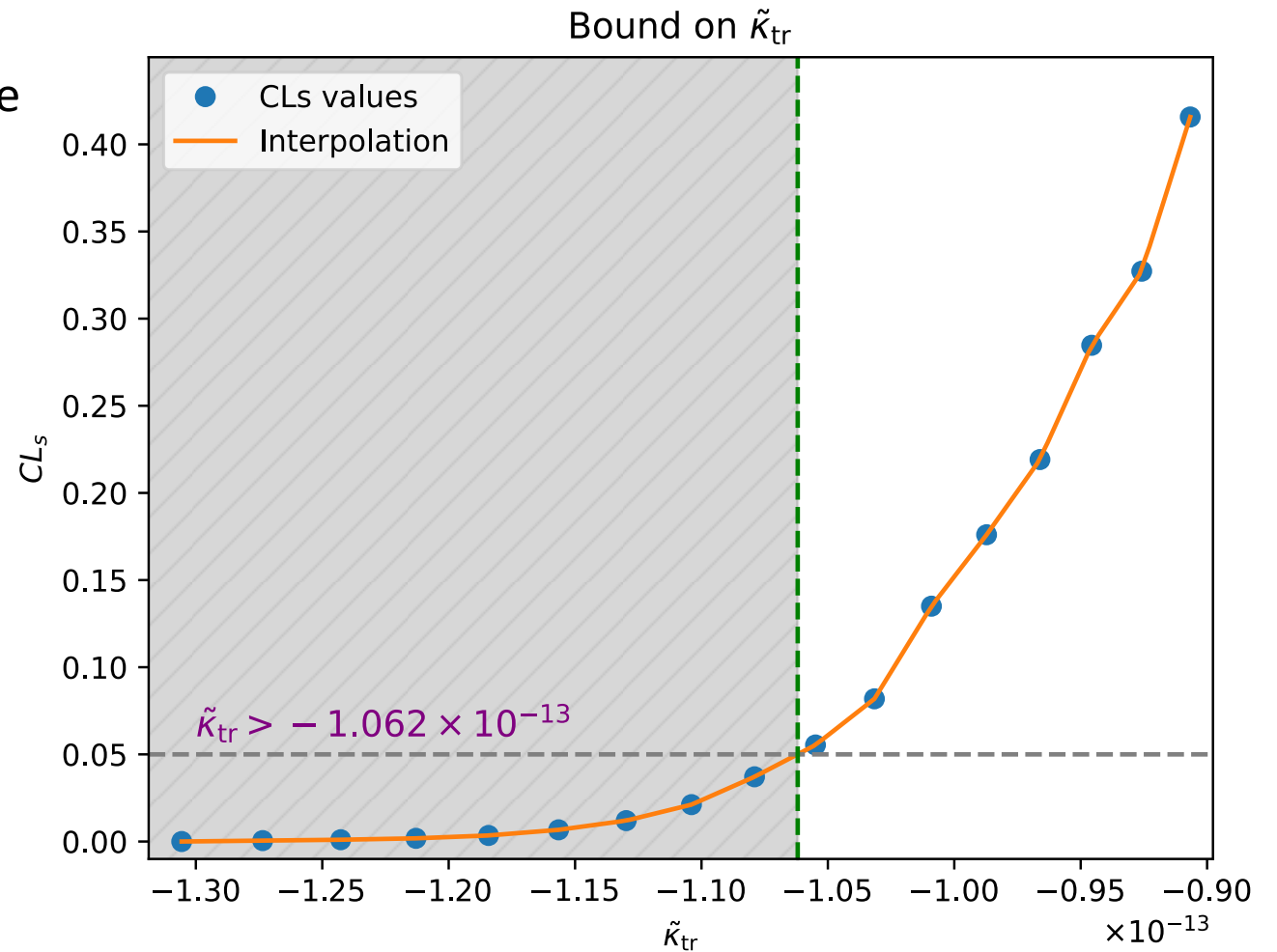
$$CL_s = \frac{CL_{s+b}}{CL_b}$$

We use the conventional criteria **CLs < 0.05**  
 to set the limit :

$$\tilde{\kappa}_{tr} > -1.06 \times 10^{-13}$$

**Without** systematics uncertainties,  
 the results would be :

$$\tilde{\kappa}_{tr} > -1.045 \times 10^{-13}$$



## Summary :

A **new calculation** of the kinematics of photon decay into fermion in vacuum is provided

The case of photon decay to top quarks illustrates **the change in kinematics** relative to the SM prediction

A **new bound** on the isotropic SME coefficient is set from LHC data as  $\tilde{\kappa}_{tr} > -1.06 \times 10^{-13}$

**Improvement** of the previous measurement from D0 **by a factor of 55**

This paper sets a **new standard** for re-interpreting collider data as constraints on Lorentz violation

## Perspective :

The FCC-hh would collide 100 TeV protons. Assuming that prompt photons of  $\approx 20$  TeV would be produced, the lower bound would **improve by 2 orders of magnitude**

# Back-up slides

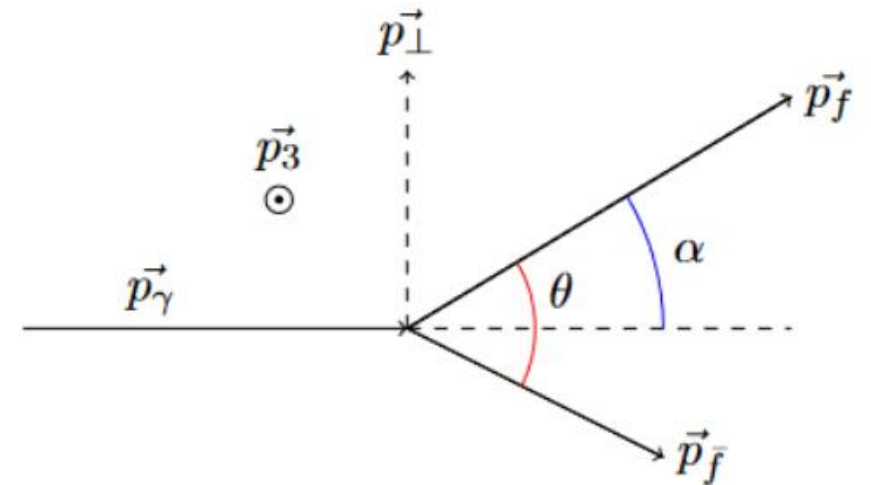
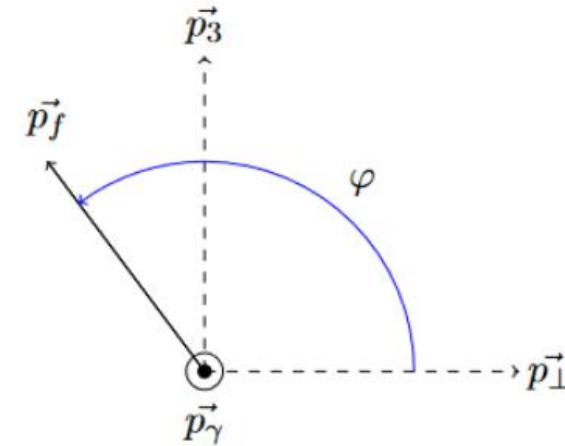
We construct the fermion momentum following :

$$\cos \theta = \frac{E_e(E_\gamma - E_e) + \frac{\tilde{\kappa}tr}{1-\tilde{\kappa}tr} E_\gamma^2 + m_e^2}{\sqrt{[E_e^2 - m_e^2][(E_\gamma - E_e)^2 - m_e^2]}}$$

$$\cos \alpha = \frac{||\vec{p}_f|| + ||\vec{p}_f|| \cos \theta}{||\vec{p}_f||}$$

$$\vec{p}_f = ||\vec{p}_f||(\vec{p}_\gamma \cos \alpha + \sin \alpha(\cos \varphi \vec{p}_\perp + \sin \varphi \vec{p}_3))$$

$\varphi$  is randomly chosen using the uniform distribution on the interval  $]-\pi, \pi]$



Over the 19 coefficients, the 9 nonbirefringent are parameterized by

$$\kappa^{\mu\nu\rho\sigma} = \frac{1}{2} (\eta^{\mu\rho} \tilde{\kappa}^{\nu\sigma} - \eta^{\mu\sigma} \tilde{\kappa}^{\nu\rho} + \eta^{\nu\sigma} \tilde{\kappa}^{\mu\rho} - \eta^{\nu\rho} \tilde{\kappa}^{\mu\sigma})$$

$\tilde{\kappa}^{\mu\nu}$  is a symmetric and traceless 4 x 4 matrix

A single coefficient parameterizes isotropic LV. The coefficients of the matrix are then chosen as

$$\tilde{\kappa}^{\mu\nu} = \frac{3}{2} \tilde{\kappa}_{tr} \text{diag} \left( 1, \frac{1}{3}, \frac{1}{3}, \frac{1}{3} \right)^{\mu\nu}$$



# CLs method

