



Hyper-Kamiokande

Preparation of the Hyper-Kamiokande experiment

A next generation neutrino detector



Claire Dalmazzone - réunion hebdomadaire du LPNHE



Excavation reached center of cavern dome in July

Contents



Hyper-Kamiokande

- Introduction
- Reducing neutrino flux uncertainties with NA61/SHINE
- Sensitivity studies for HK long baseline program
- Timing distribution in HK
- Conclusion: Plans

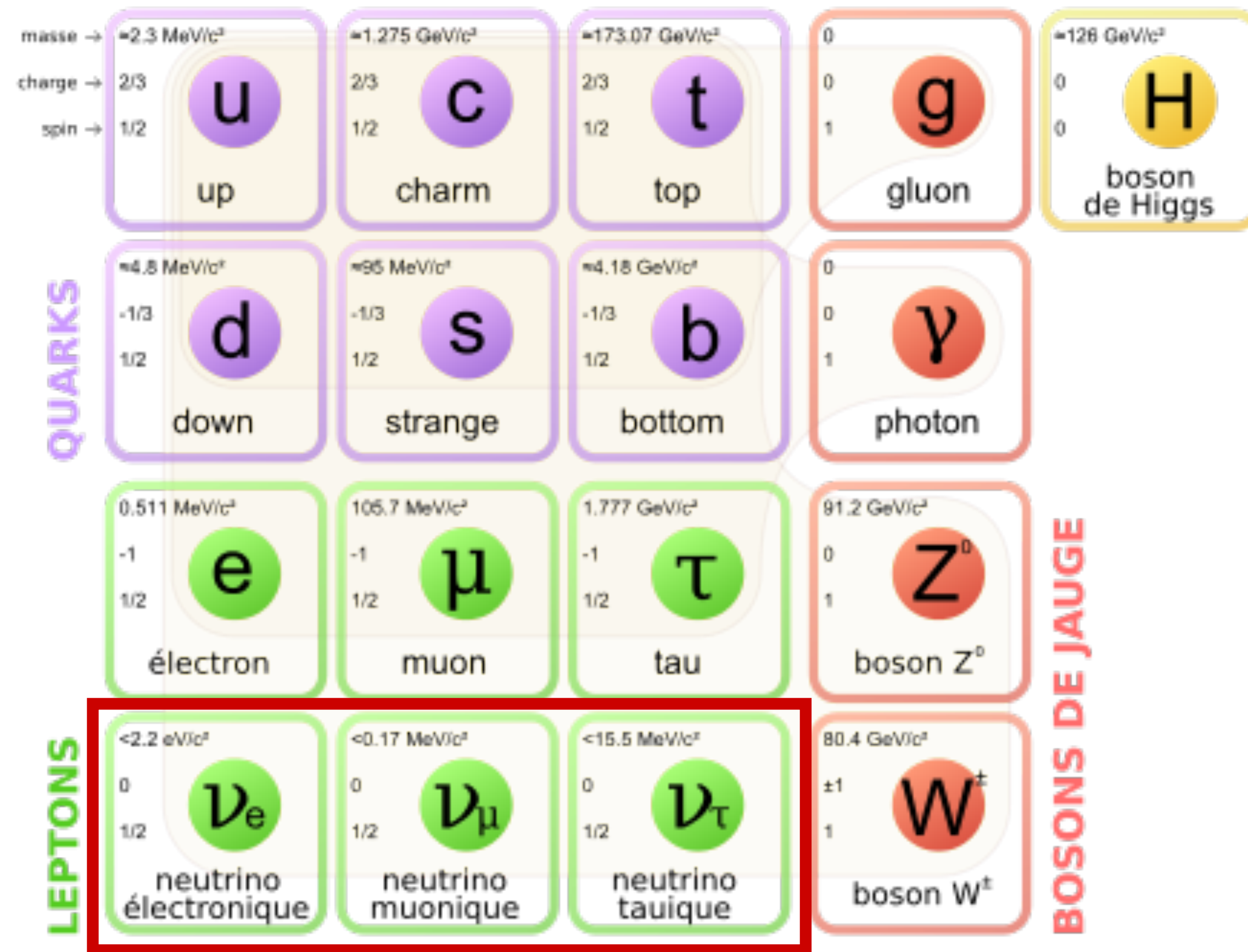


Hyper-Kamiokande

Introduction: Neutrinos in the standard model and detection with Water Cerenkov detectors

Introduction

Neutrinos in the standard model



What we know:

- Neutral lepton
- Left handed
- 3 generations/flavours
- Lightest fermions of the SM
- Flavour oscillation (see next slide)

What we don't know:

- Are they Dirac or Majorana ($\nu = \bar{\nu}$) particles?
- What are their respective masses?
- Why are they so light? Where do their masses come from?
- Are there sterile, right handed neutrinos?

Water Cherenkov detectors

Principle

But detecting neutrinos is challenging due to their very low interaction cross-section!!

→ Use large (tens of kT) Water Cherenkov detector

Cherenkov effect:

A charged particle in a dielectric medium going faster than light, in the medium, emits “Cherenkov radiation”

Emission angle:

$$\cos \theta = \frac{c}{nv}$$

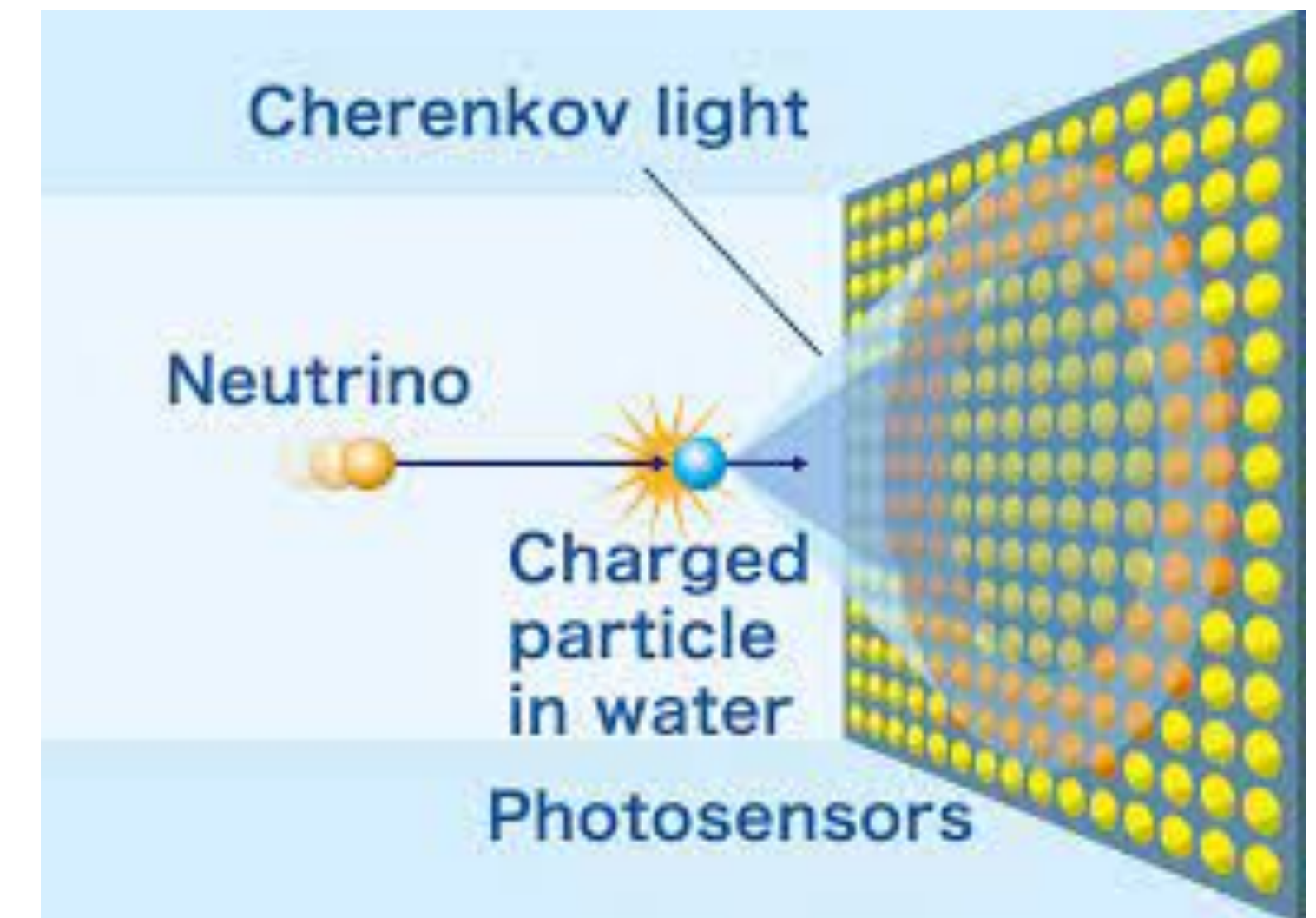
Speed of light

Refractive index

Particle's speed



Hyper-Kamiokande



Principle of neutrino detection in Water Cherenkov detectors: from the **shape of the signal and the time arrival** of the photons, it is possible to reconstruct **the direction and the interaction vertex**.

Water Cherenkov detectors

From Kamiokande to Hyper-Kamiokande

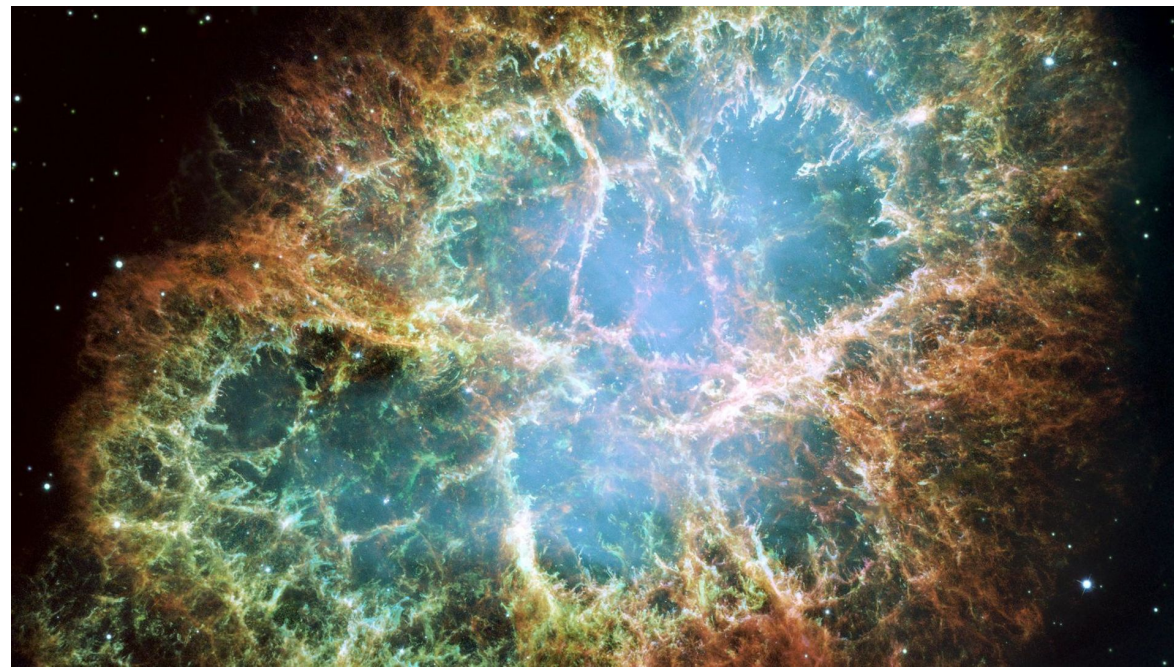


- **Kamiokande** detected ~15 neutrinos from the supernova **SN1987a**
- **SK** has been running since 1996 and notably lead to the **discovery of neutrino flavour oscillation in 1998**.
- But faster accumulation of statistics is always wanted hence the **Hyper-Kamiokande project: same principle but ~10 times larger volume!**
- The construction is ongoing and data-taking will start in **2027**

Water Cherenkov detectors

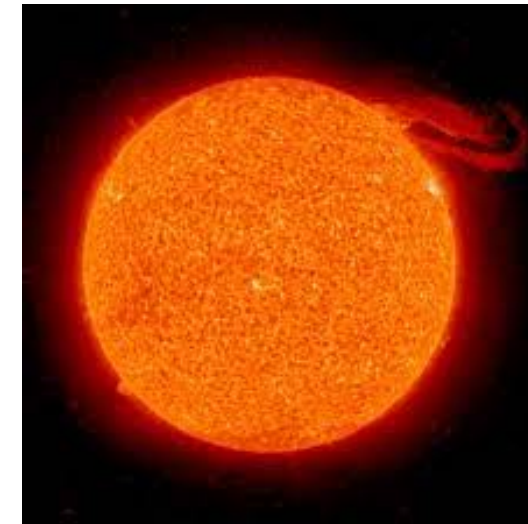
Applications

Astrophysics

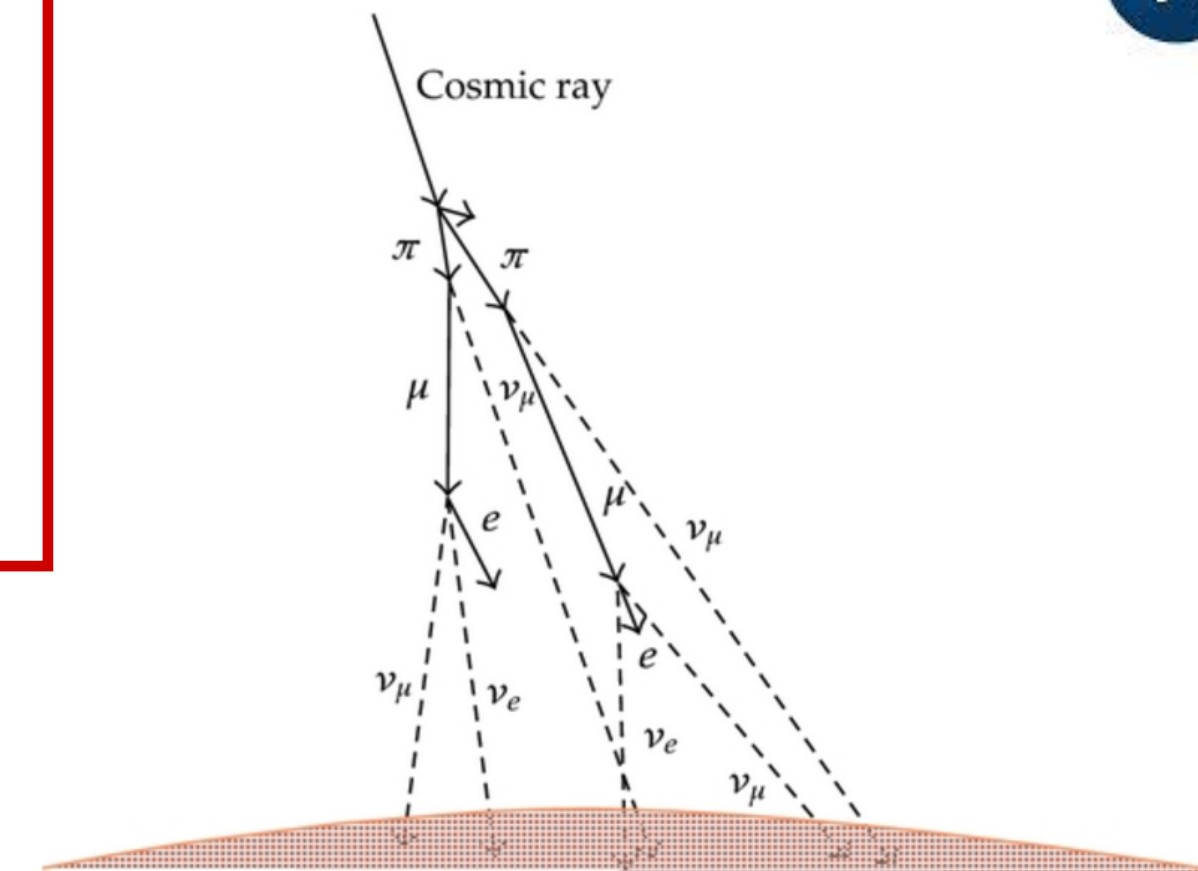
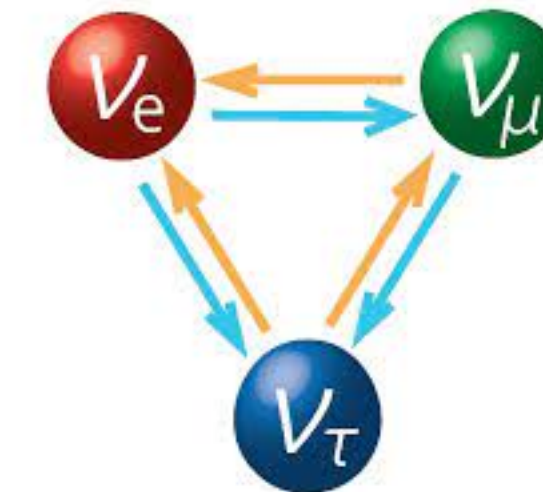


Supernovae neutrinos

Solar neutrinos



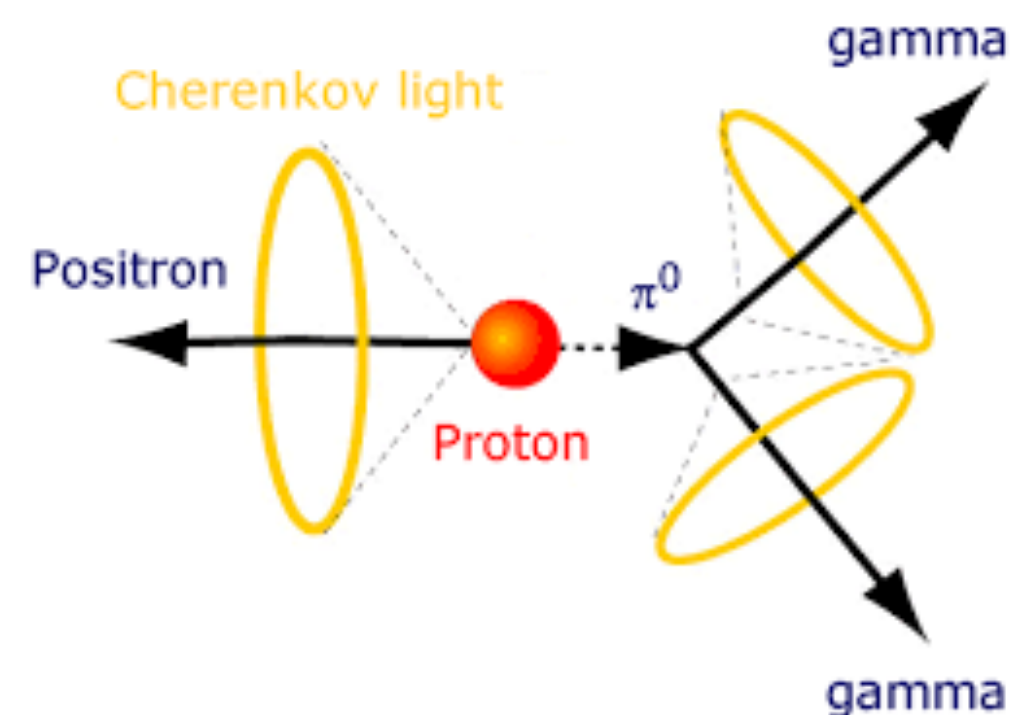
Flavour oscillation



Atmospheric neutrinos



Accelerator neutrinos
(See next slide)



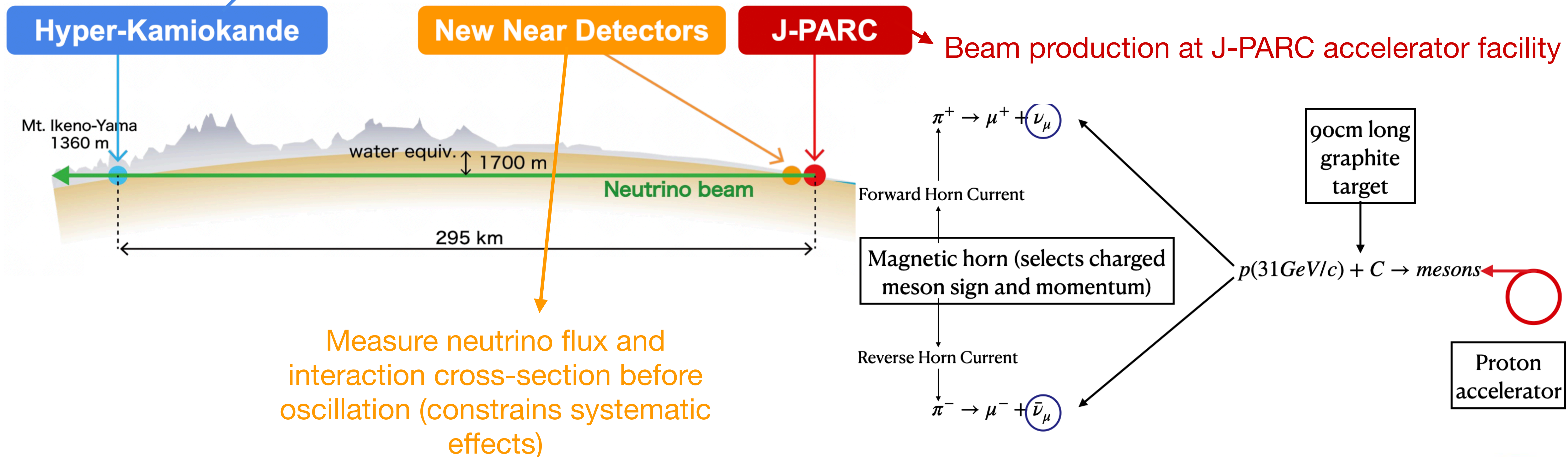
Nucleon decay search
Historical purpose of
Kamiokande

The T2(H)K experiment

Overview



Measures the appearance of ν_e ($\bar{\nu}_e$) in a beam of ν_μ ($\bar{\nu}_\mu$)

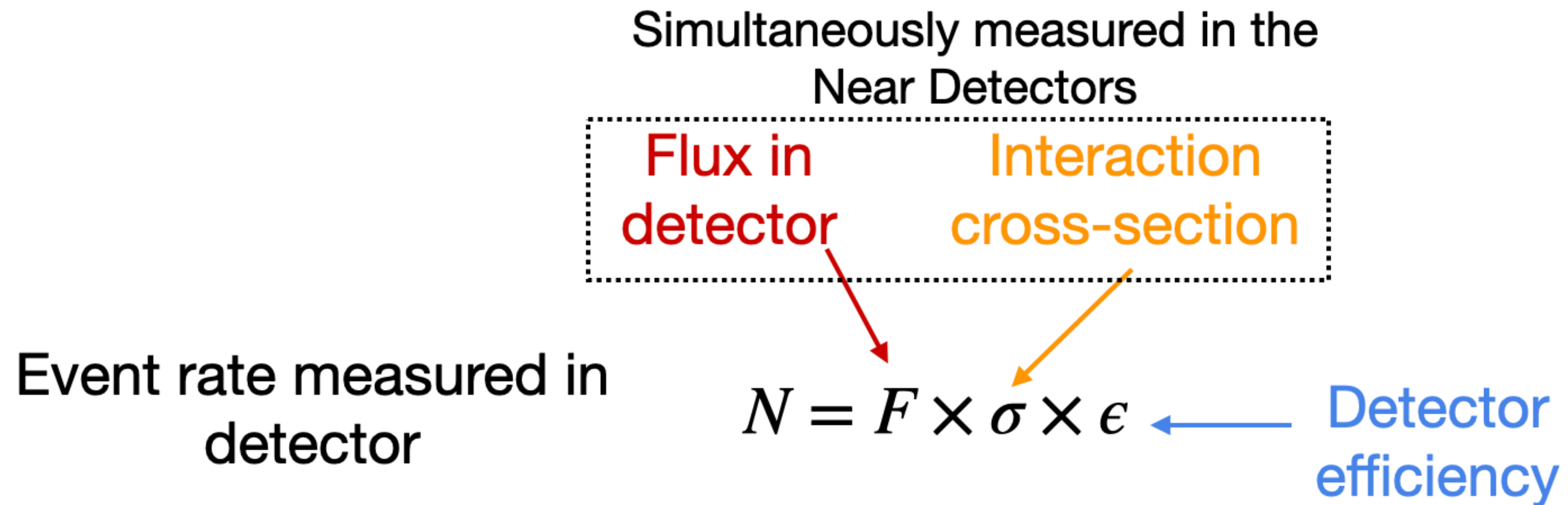


The T2(H)K experiment

Systematic uncertainties



As we accumulate statistics, measurements become more sensitive to systematic effects



Near detectors are a key tool to constrain most of the systematic effects!

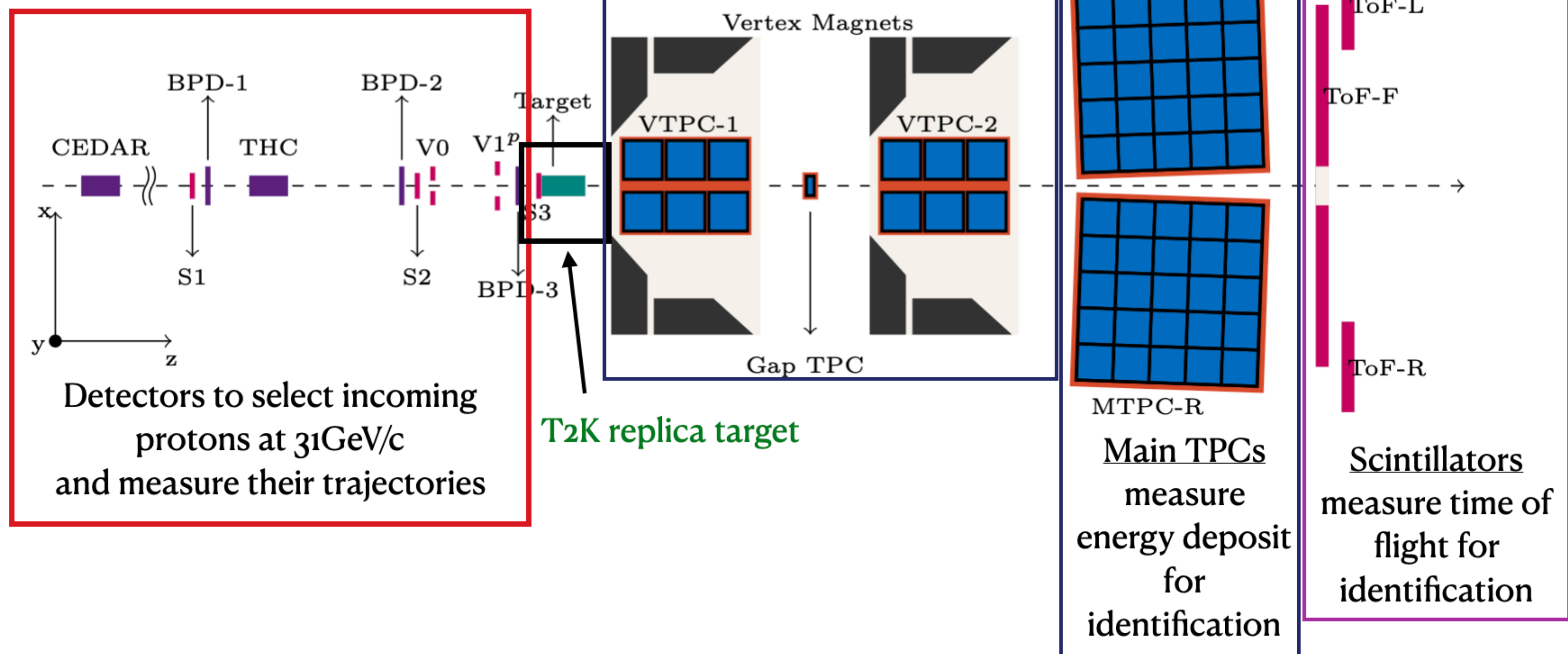


NA61/SHINE experiment: How to reduce neutrino flux uncertainties

Systematic uncertainties can also be constrained by external measurements.
For instance, the NA61/SHINE hadron production measurements allow to reduce the neutrino flux uncertainties.

NA61/SHINE

The detector



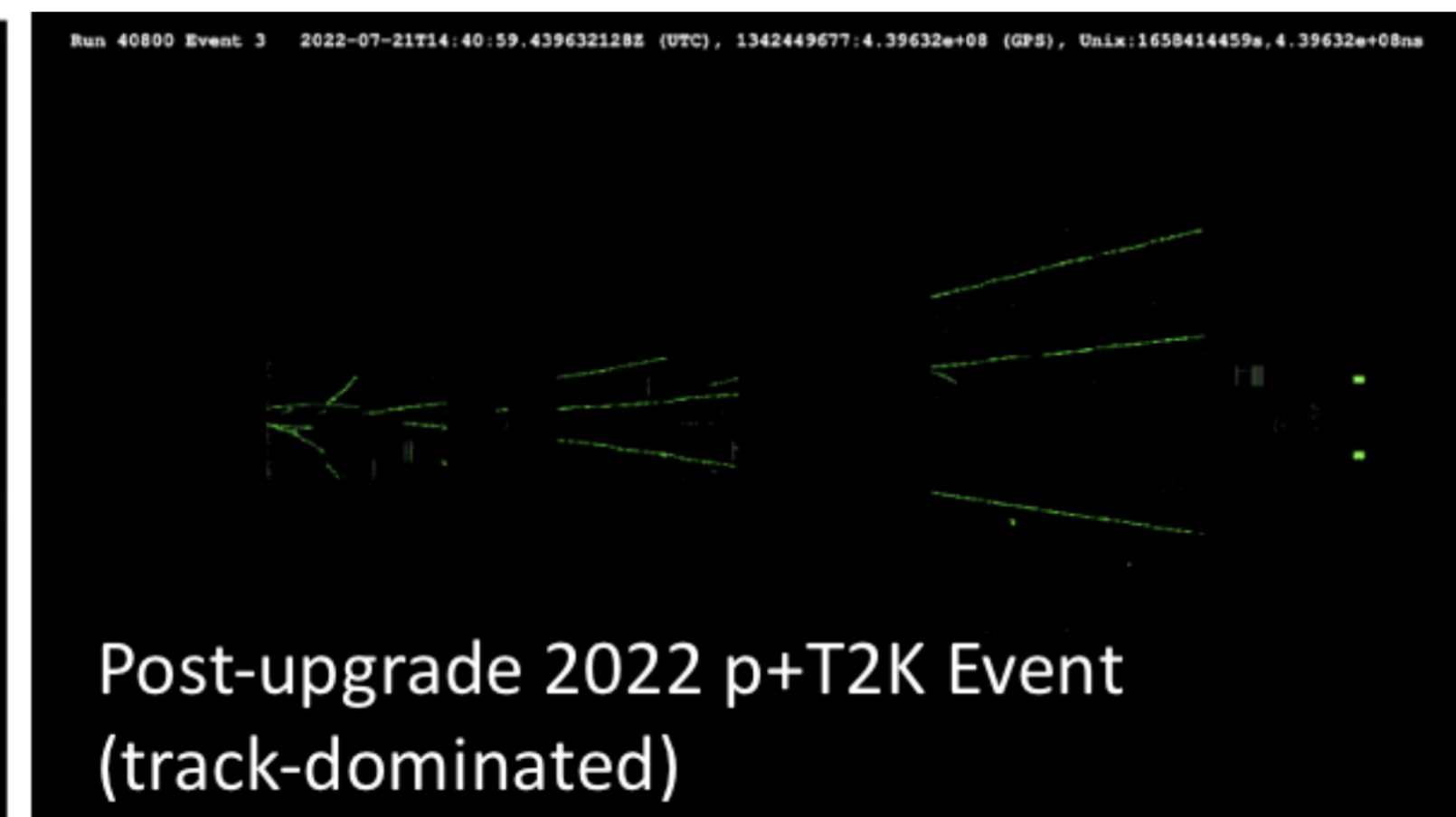
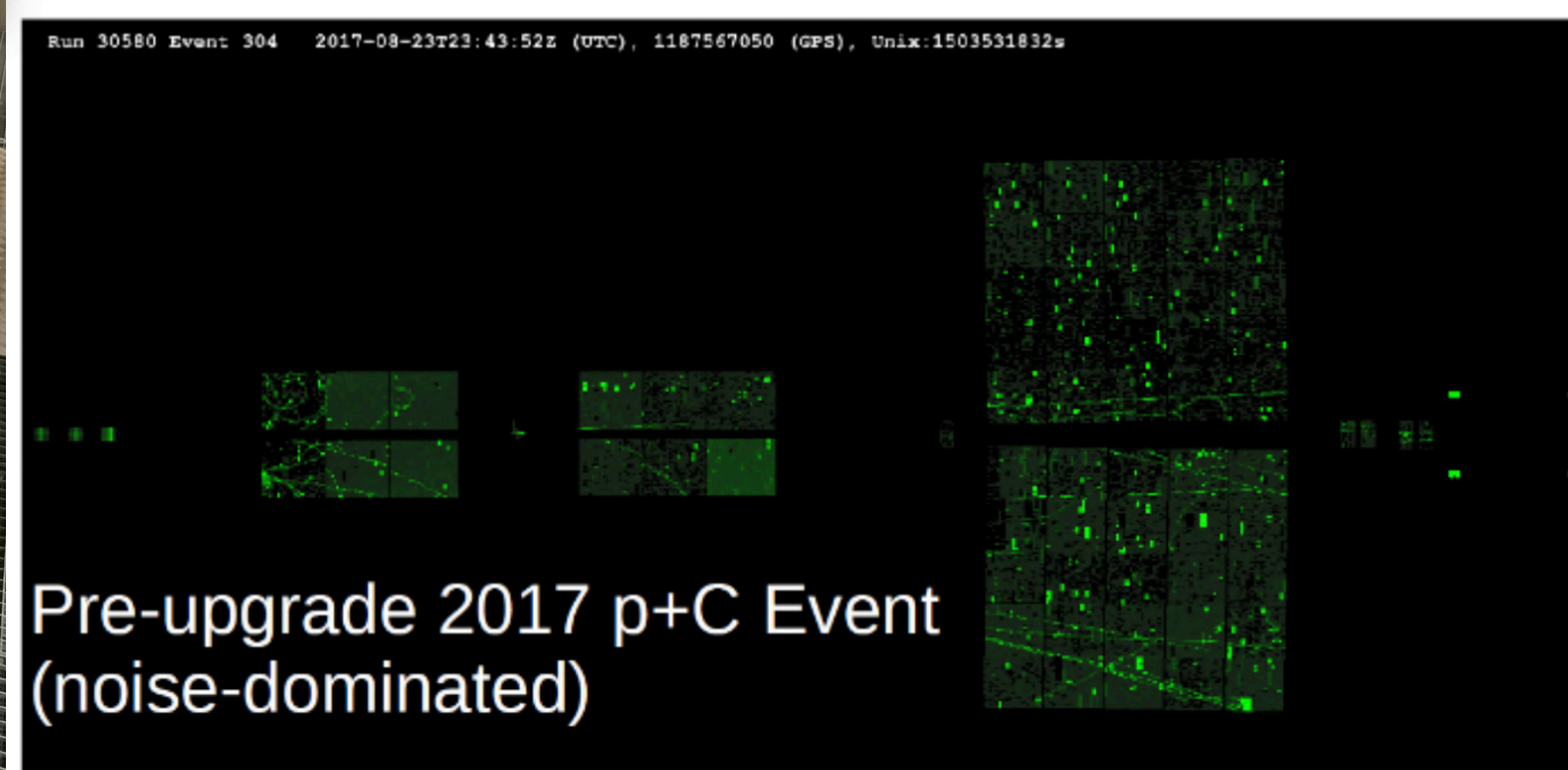
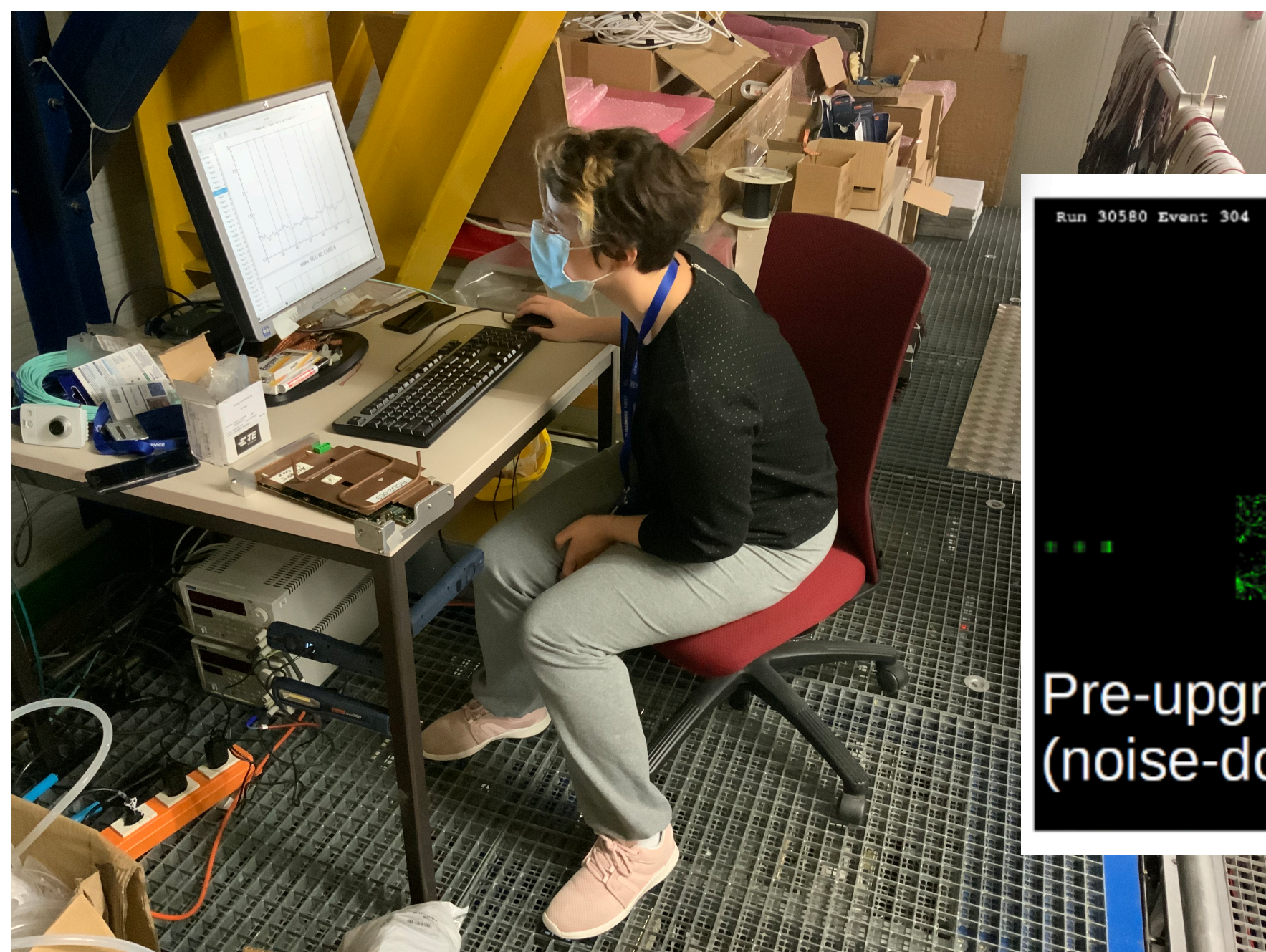
Hyper-Kamiokande

NA61/SHINE

The detector



The detector was upgraded in 2021-2022 to allow a faster trigger rate



November 2021, testing the response of the TPCs with the new electronics

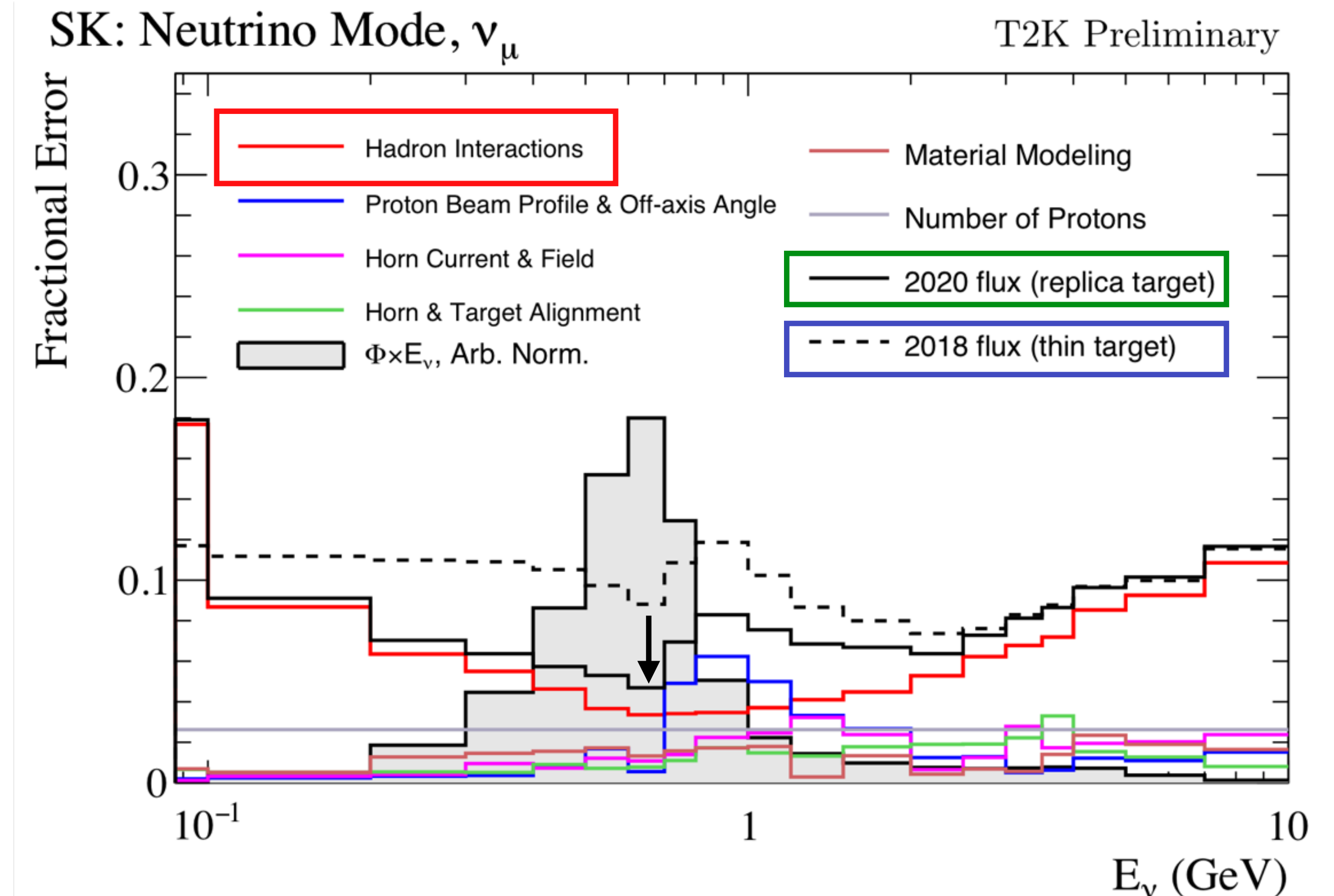
NA61/SHINE

Reducing the flux uncertainties

- Main uncertainty on flux: **hadron interaction uncertainties**.
- The last **replica target** measurements allowed to reduce the uncertainty to **5% at the flux peak!**
- **New NA61/SHINE data with replica target in 2022:** measure charged hadron + K_S^0 production in T2K target
- **My task:** calibration (in progress) and analysis of the new dataset



Hyper-Kamiokande



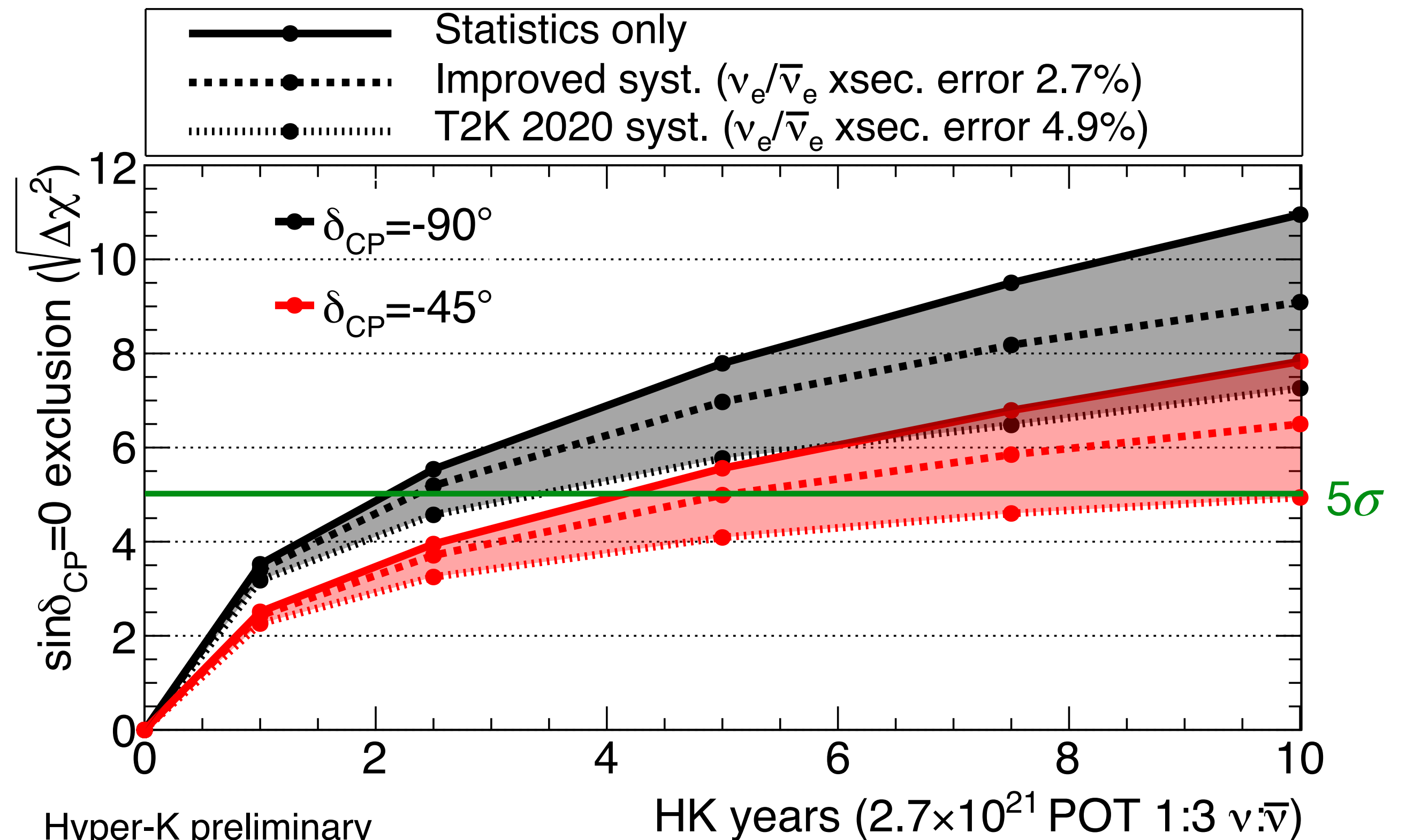


HK long baseline program: Sensitivity studies

One application of HK will be to detect the neutrinos produced at an accelerator facility 295km away to measure flavour oscillation parameters. This is the long baseline program, the foreseen evolution of the T2K experiment.

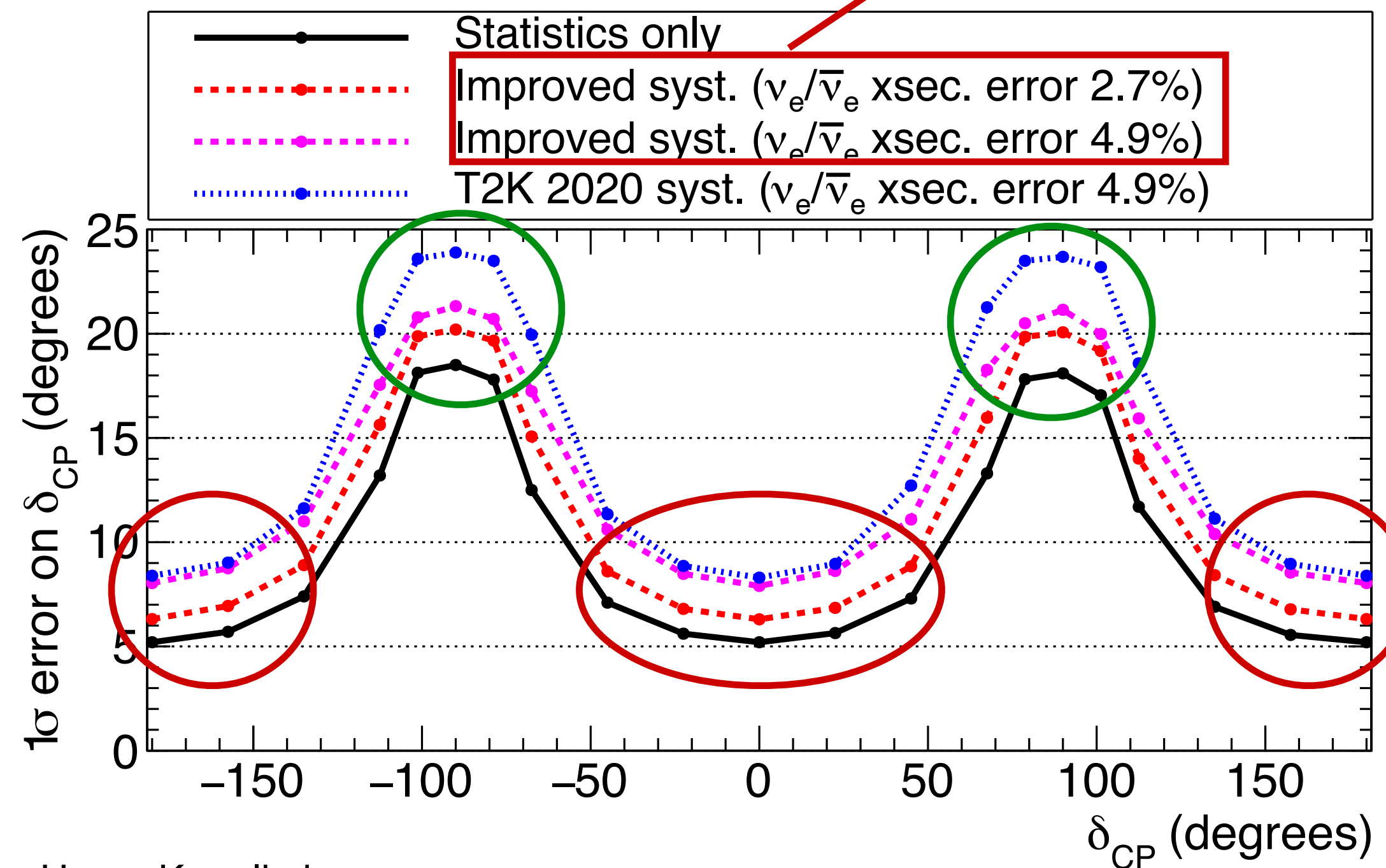
HK sensitivity studies

- **T2K** latest results gave **hint at 2σ** that neutrino flavour oscillation **violates** the symmetry between matter and anti-matter (**CP** symmetry).
- This is quantified by the CP violation phase parameter δ_{CP} .
- To confirm that neutrino oscillation violates CP, we want to **exclude $\sin \delta_{CP} = 0$ at 5σ**
- **HK could do that after a few years** depending on systematic effects



HK sensitivity studies

Only difference is the uncertainty on the ratio $\sigma(\nu_e)/\sigma(\bar{\nu}_e)$



The uncertainty on the ratio $\sigma(\nu_e)/\sigma(\bar{\nu}_e)$ is dominant for $\sin \delta_{CP} \approx 0$

Other systematics are dominant for $|\sin \delta_{CP}| \approx 1$ (favoured by T2K results)

Hyper-K preliminary

True normal ordering (known), HK 10 Years (2.7×10^{22} POT 1:3 $\nu:\bar{\nu}$)

$\sin^2 \theta_{13} = 0.0218 \pm 0.0007$, $\sin^2 \theta_{23} = 0.528$, $\Delta m_{32}^2 = 2.509 \times 10^{-3} \text{ eV}^2/c^4$

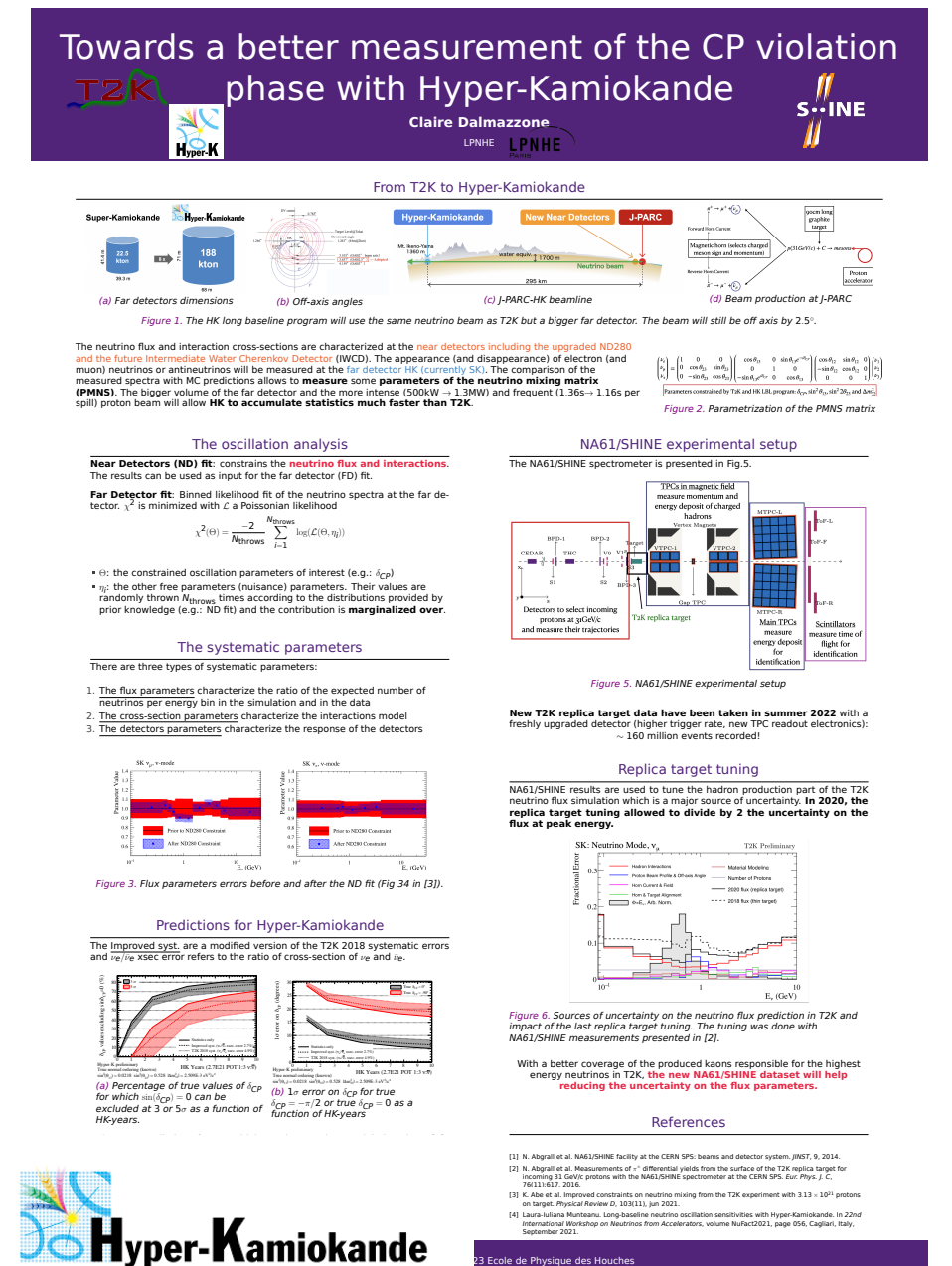
HK sensitivity studies

Officialisation



The results were presented on different occasion

- Poster at the CP2023 workshop (Les Houches, February 2023)
- Talk at the Neutrino International Research Network (Nantes, June 2023)
- Talk at the NNN23 (Procida, October 2023)



Addressing the challenge of
neutrino interaction uncertainties
in Hyper-Kamiokande

LPNHE
PARIS

SORBONNE
UNIVERSITÉ

Claire Dalmazzone, 13th October 2023
On behalf of Hyper-Kamiokande Collaboration

22nd International Workshop on Next
Generation Nucleon Decay and
Neutrino Detectors
Procida (Italy), October 11-13, 2023





Timing distribution in HK

The accelerator neutrinos are selected in HK in particular thanks to the timing of the events.

The signal reconstruction in Water Cherenkov detectors necessitate a good synchronisation between the PMTs.

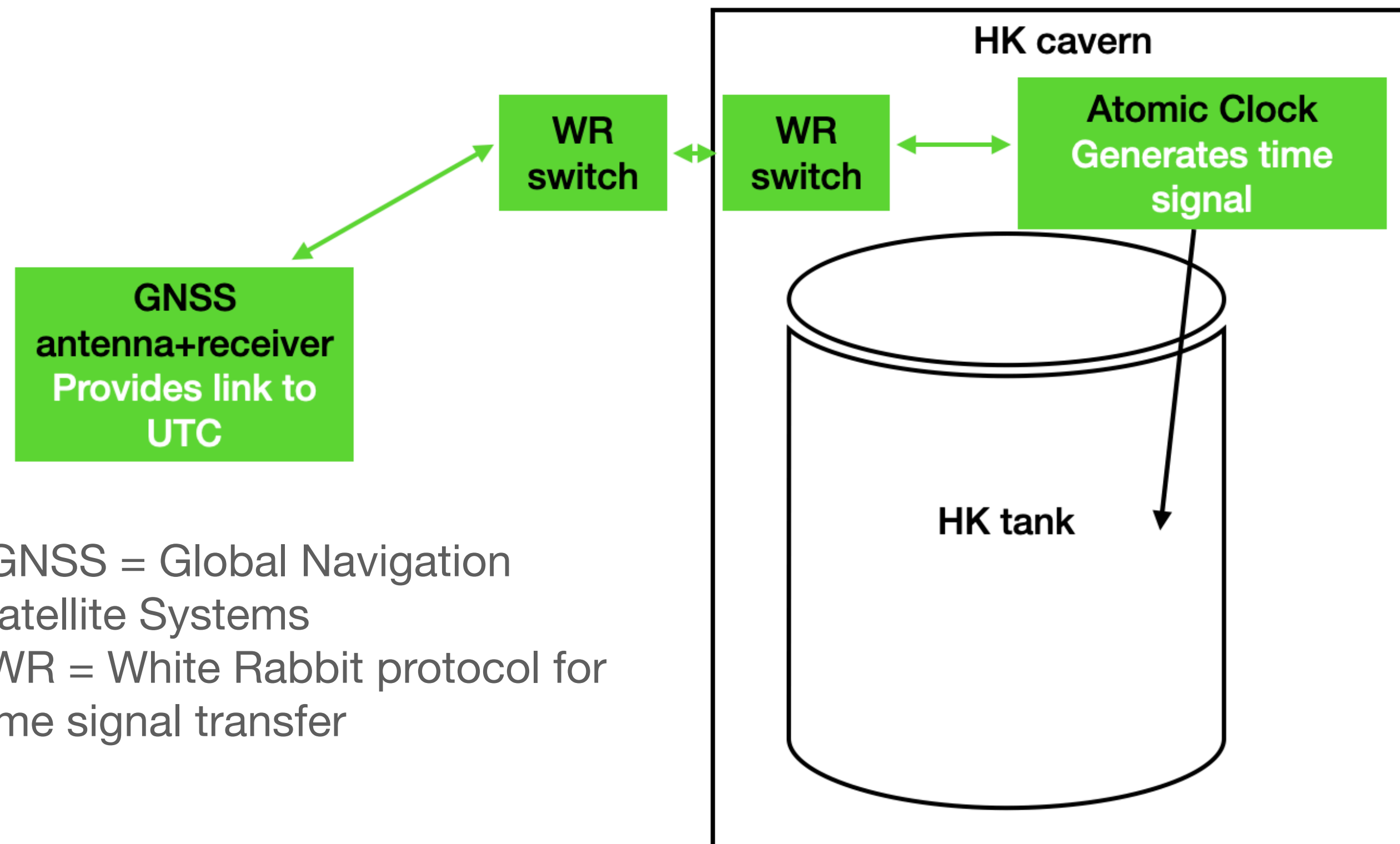
For multi messenger observations, the events in HK should be time-tagged with UTC*.

—> Timing is a very important aspect of the experiment!!

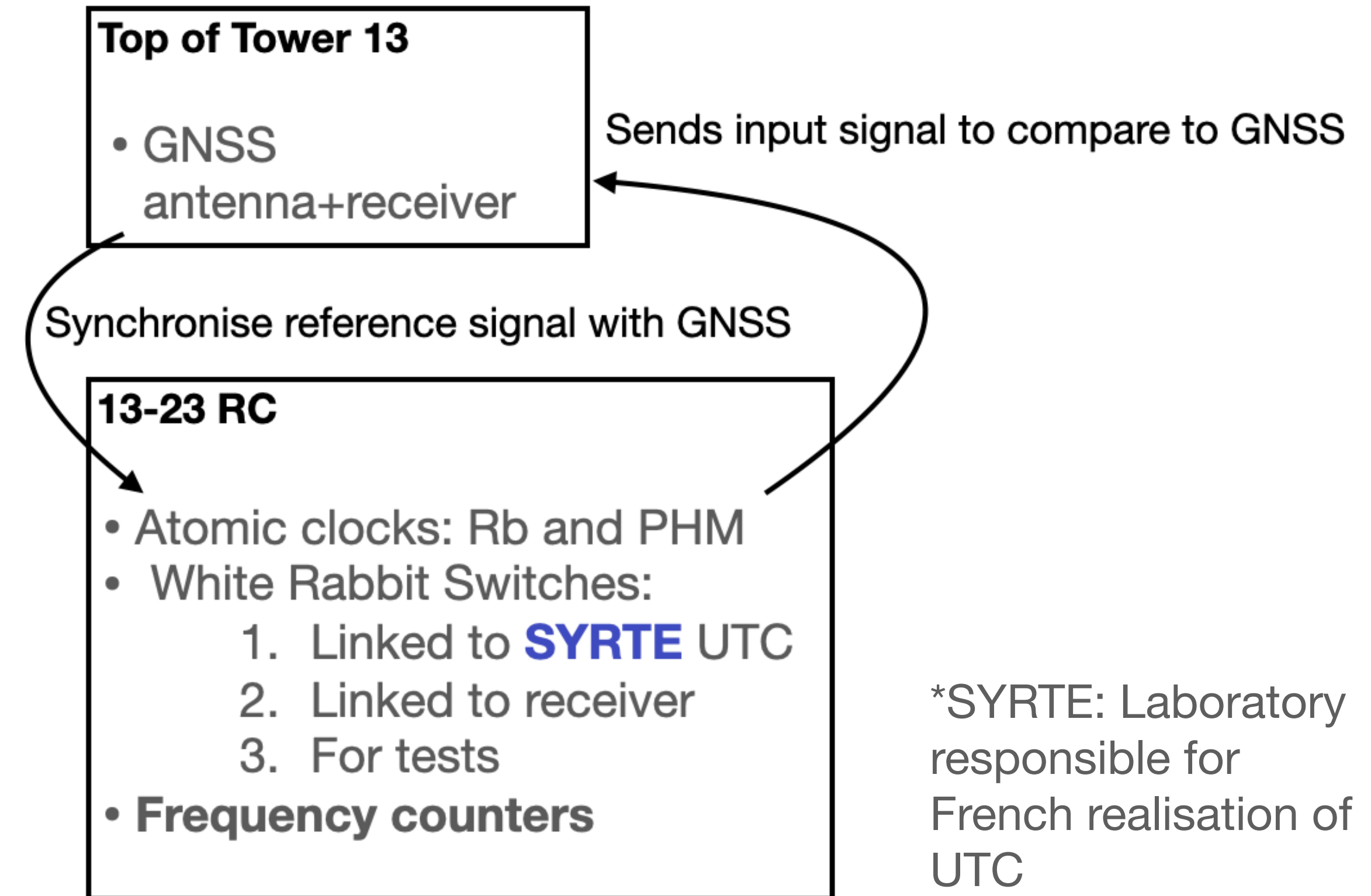
*UTC: Universal Time Coordinated

Timing distribution

Setups for the time generation



Foreseen setup for HK



Setup at LPNHE

*GNSS = Global Navigation Satellite Systems

*WR = White Rabbit protocol for time signal transfer

*SYRTE: Laboratory responsible for French realisation of UTC

Timing distribution

Tests in Japan



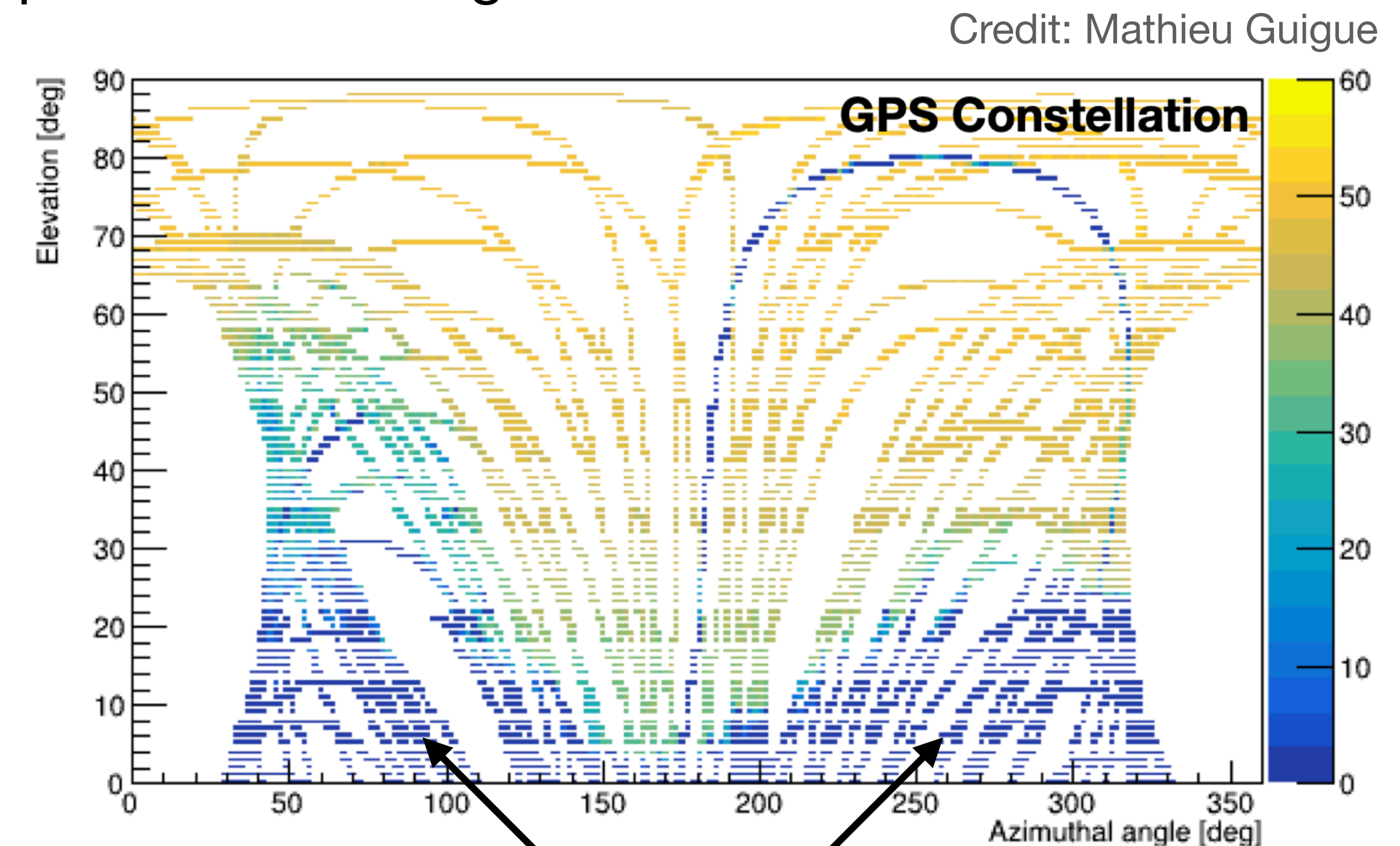
In summer 2023, we brought an antenna in Japan to check the reception of GNSS signals on site.



Tunnel to HK cavern



Our antenna

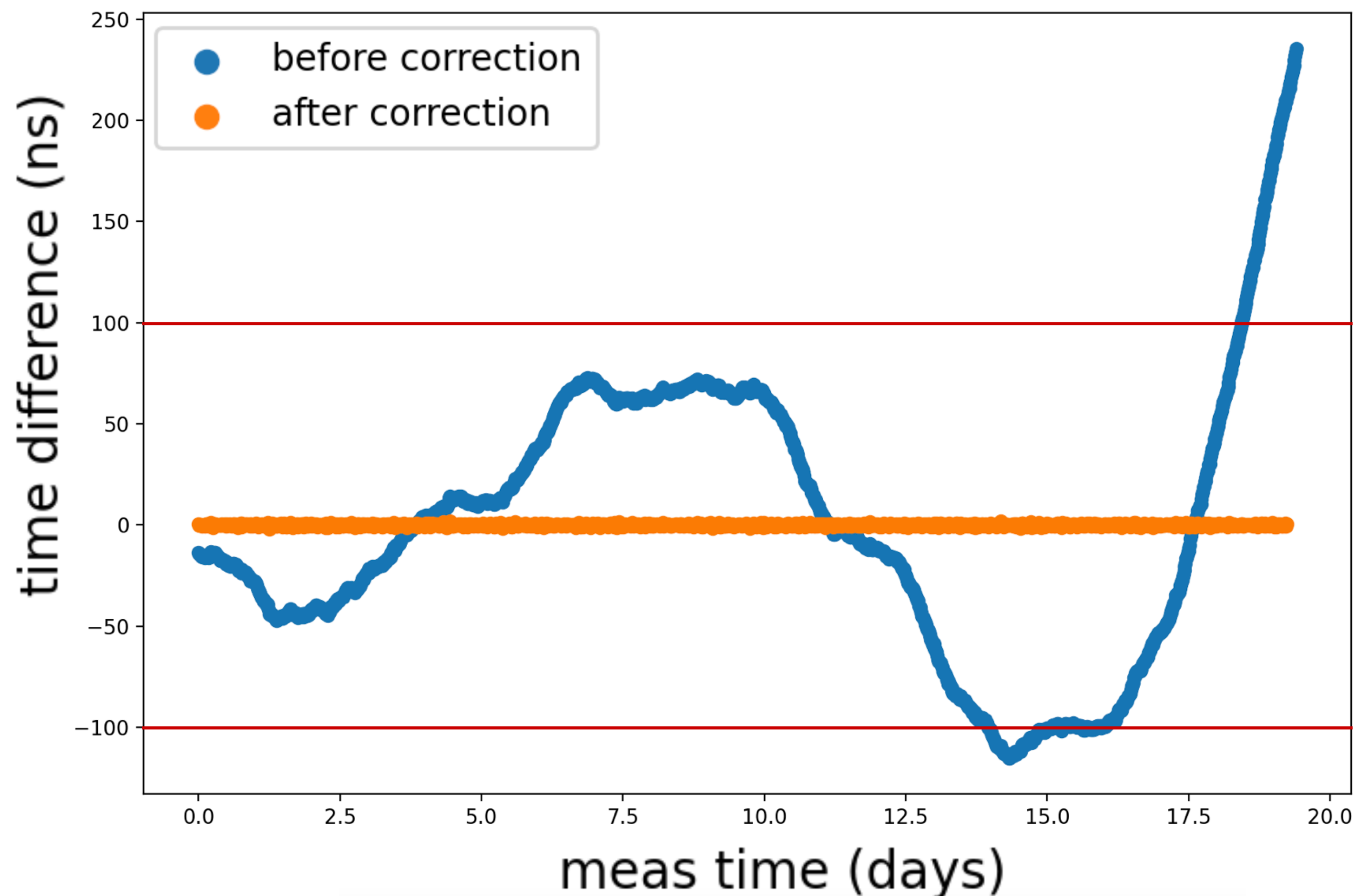


Low signal because of mountains!



Timing distribution Rubidium clock signal correction

time difference between Rb and GNSS



My tasks:

- Design the correction algorithm
- Evaluate performance of the correction
- Implement the online correction

Requirements

Conclusion: Plans

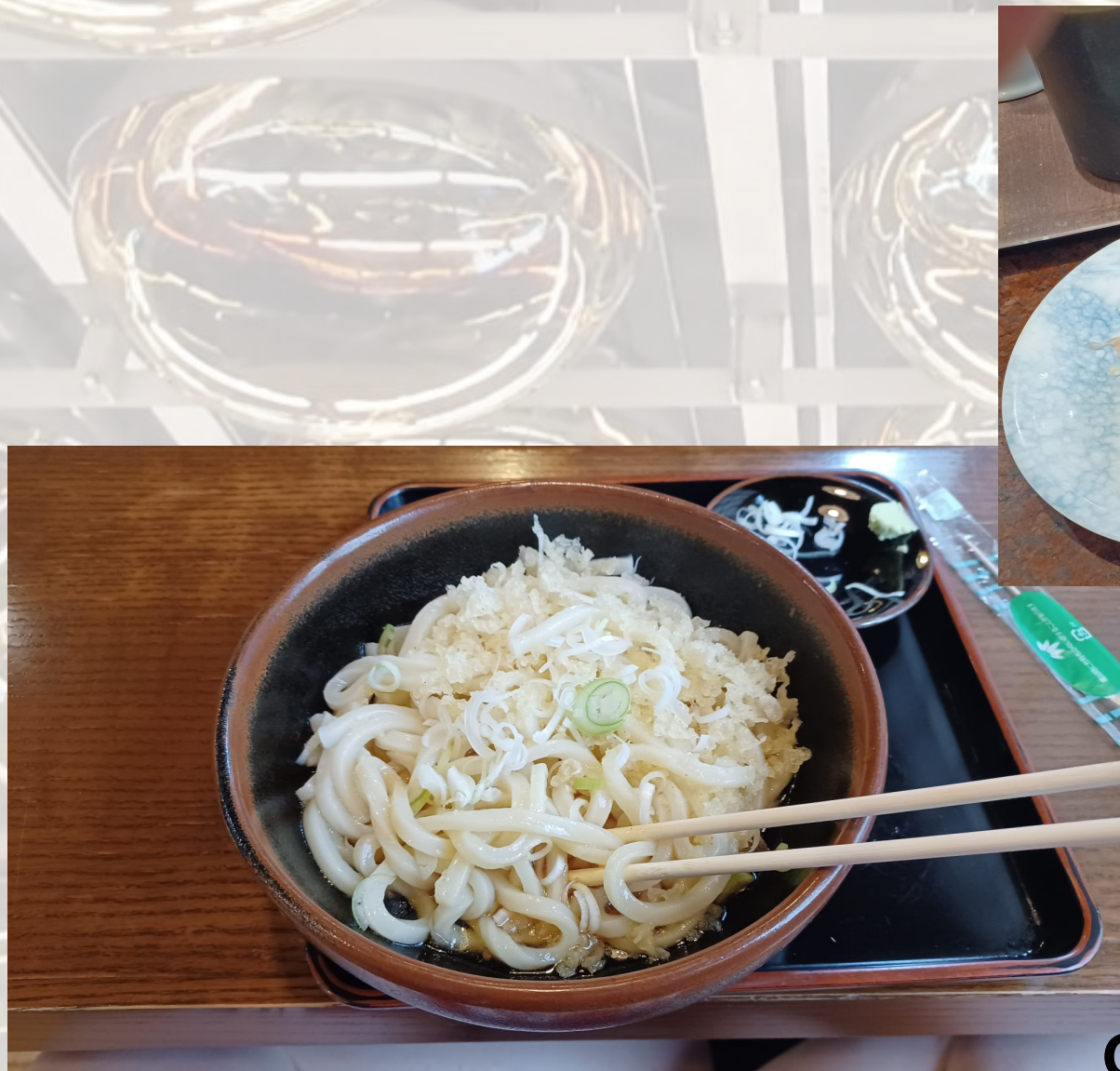


- **Hyper-Kamiokande** will start in **2027**. My work involves different aspects the preparation.
- **Rubidium timing correction:**
 - Test correction on data (next months) **plan to publish**
 - Implement the online correction
- **New sensitivity studies** for the long baseline program using T2K's latest published results:
 - Results are official. **publication is being considered**
- Calibration and analysis of the new **NA61/SHINE T2K replica target dataset:**
 - Finishing the detectors calibration (~ 1 year)
 - Part of the analysis can begin before (MC studies)



Hyper-Kamiokande

Thank you!



Claire Dalmazzone - réunion hebdomadaire du LPNHE



Introduction

Neutrino flavour oscillation

Flavour oscillation: quantum effect due to the **mixing between the flavour states and the mass states**. Its existence means that neutrinos have **non zero mass**.

$$\begin{pmatrix} \nu_e \\ \nu_\mu \\ \nu_\tau \end{pmatrix} = \begin{pmatrix} 1 & 0 & 0 \\ 0 & \cos \theta_{23} & \sin \theta_{23} \\ 0 & -\sin \theta_{23} & \cos \theta_{23} \end{pmatrix} \begin{pmatrix} \cos \theta_{13} & 0 & \sin \theta_{13} e^{-i\delta_{CP}} \\ 0 & 1 & 0 \\ -\sin \theta_{13} e^{i\delta_{CP}} & 0 & \cos \theta_{13} \end{pmatrix} \begin{pmatrix} \cos \theta_{12} & \sin \theta_{12} & 0 \\ -\sin \theta_{12} & \cos \theta_{12} & 0 \\ 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} \nu_1 \\ \nu_2 \\ \nu_3 \end{pmatrix}$$

If $\sin \delta_{CP} \neq 0$, neutrinos and anti-neutrinos don't have the same oscillation probability: neutrino oscillation violates CP

PMNS* parametrisation of the mixing matrix: the three mixing angles (θ_{ij}) and the complex phase δ_{CP} are not predicted and **must be measured experimentally**.

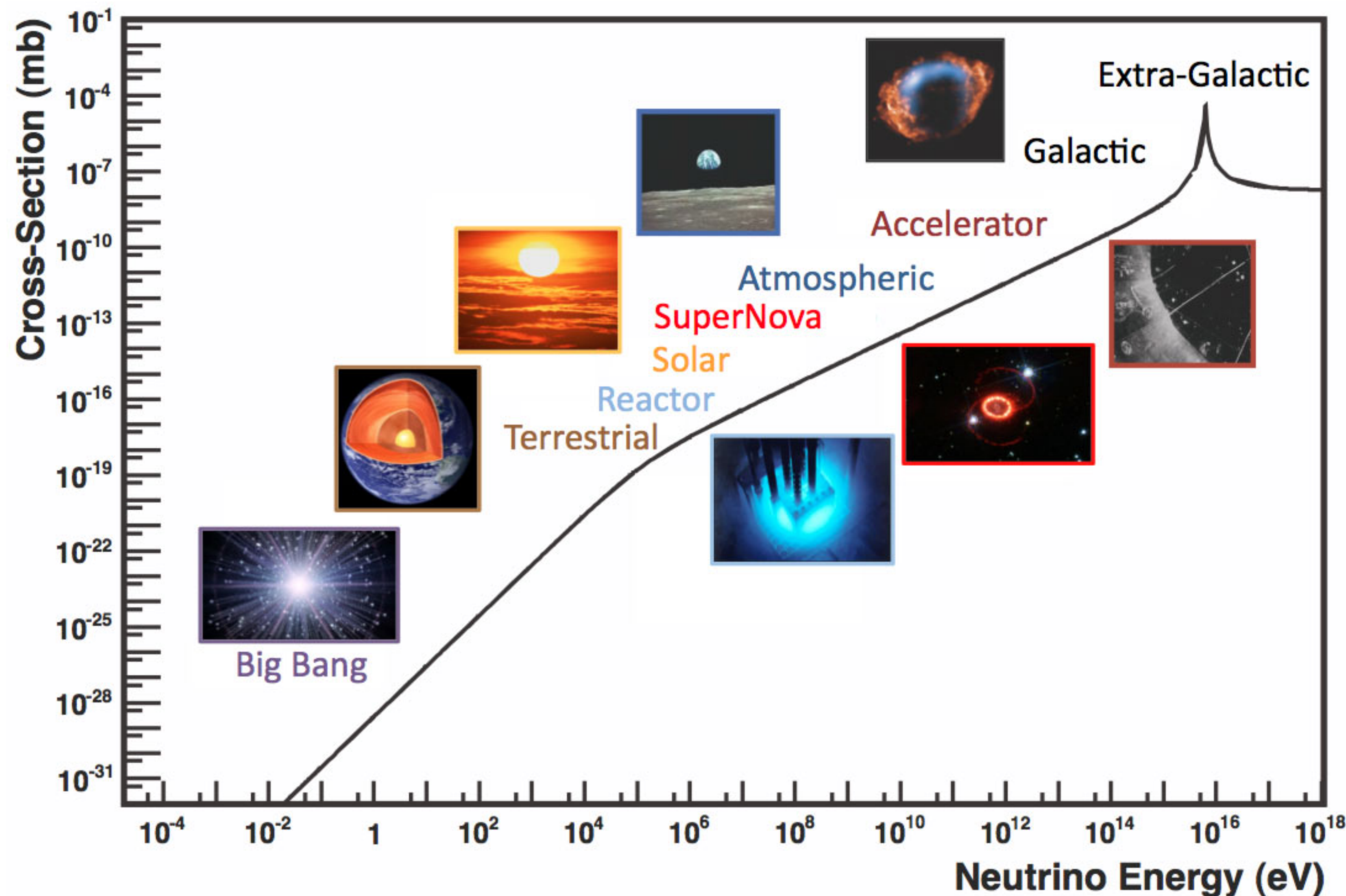
$$P(\nu_\alpha \rightarrow \nu_\beta, L, E) = \delta_{\alpha,\beta} - 4 \sum_{j>k} \Re \{ U_{\alpha j}^* U_{\beta j} U_{\alpha k} U_{\beta k}^* \} \sin^2 \left(\frac{\Delta m_{jk}^2 L}{4E} \right) + 2 \sum_{j>k} \Im \{ U_{\alpha j}^* U_{\beta j} U_{\alpha k} U_{\beta k}^* \} \sin \left(\frac{\Delta m_{jk}^2 L}{2E} \right)$$

Oscillation probability depends on the propagation length, the energy, the mixing matrix U elements and the difference of neutrino masses squared $\Delta m_{jk}^2 = m_j^2 - m_k^2$

* PMNS for Pontecorvo-Maki-Nakagawa-Sakata

Introduction

Sources of neutrinos



Many natural and man-made sources of neutrinos. Detecting neutrinos allows to:

- Study **astrophysical** sources: neutrinos don't interact and can point to their source
- Test the **Standard Solar Model**
- Study quantitatively the **neutrino flavour oscillation**
- Study the **neutrinos properties**: mass measurement, Majorana particle?, etc.

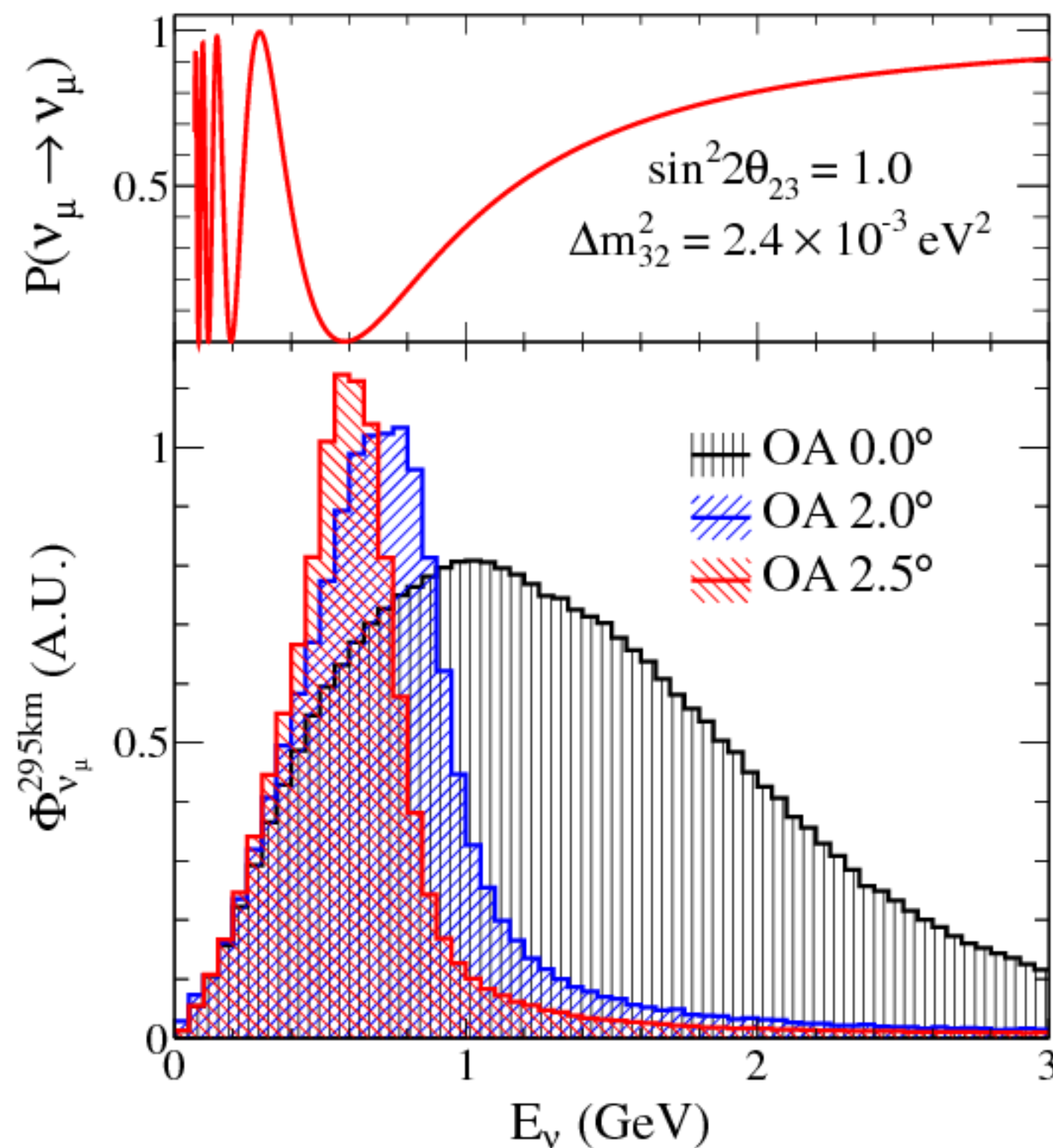
But detecting neutrinos is challenging due to their very low interaction cross-section!!

The T2(H)K experiment

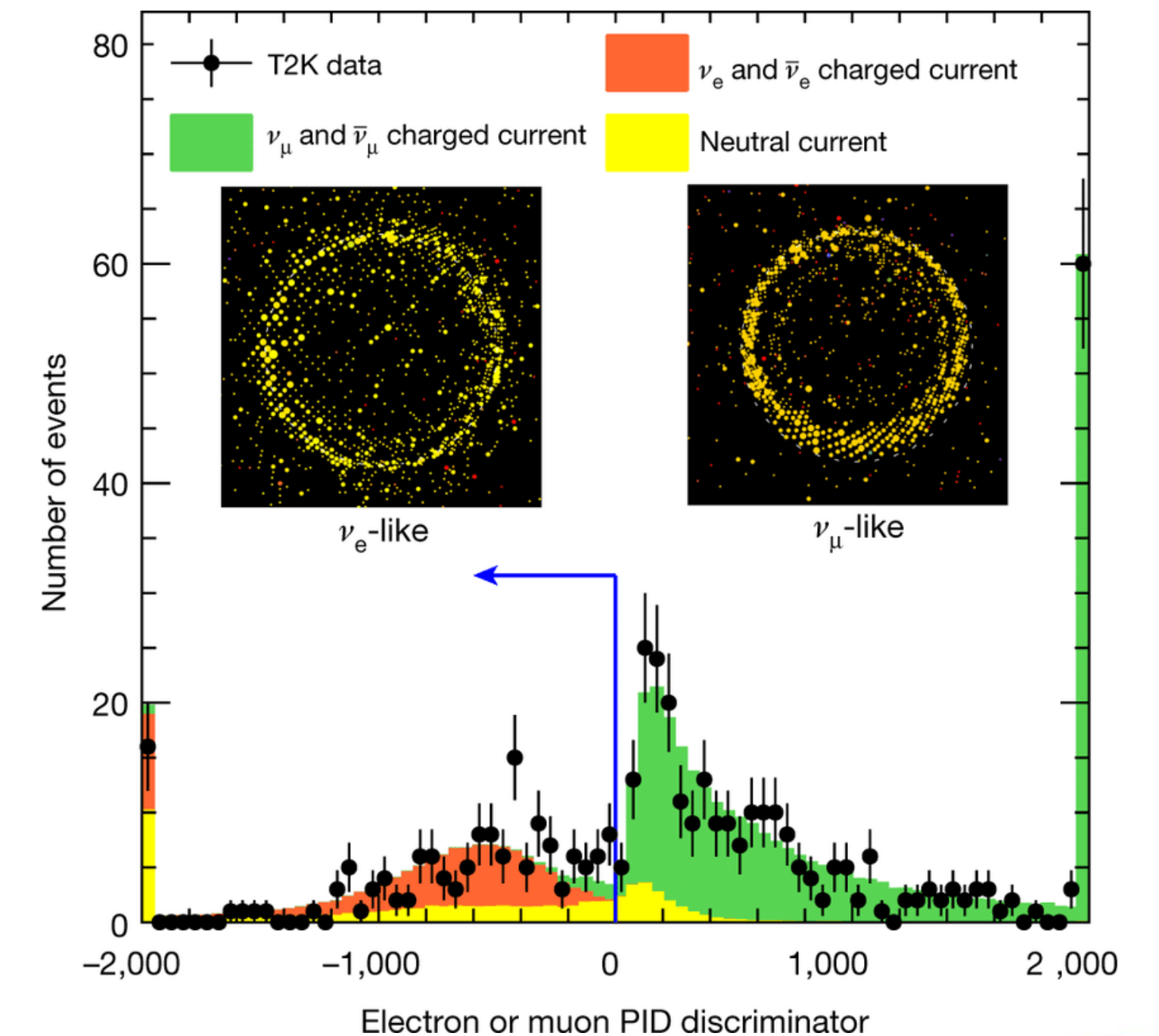
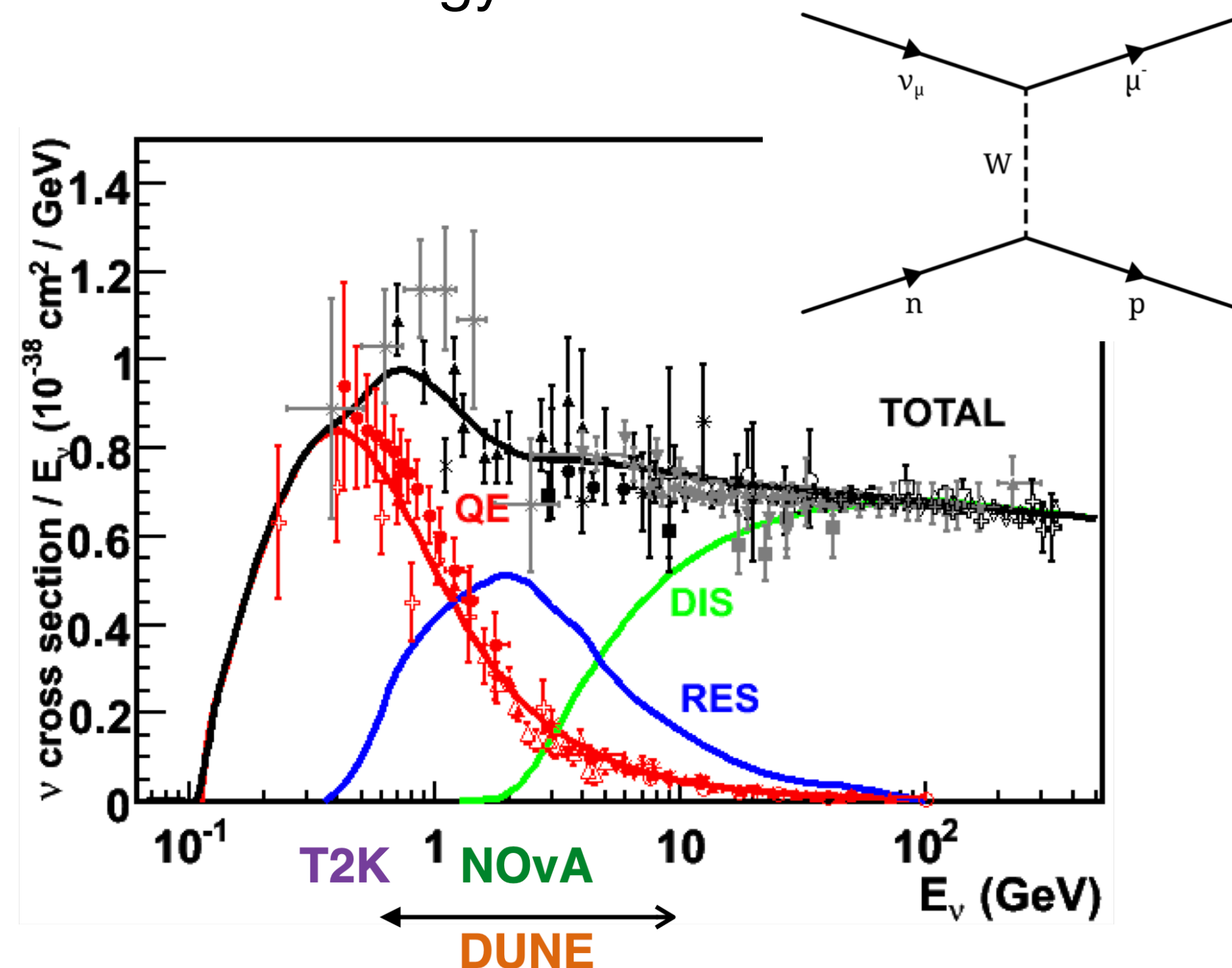
Overview



SK and HK are not aligned with the proton beam at J-PARC. The 2.5° off-axis angle allows to obtain in a narrow neutrino energy beam peaked at $\sim 600\text{MeV}$ the survival probability minimum in the detector.



At these energies, most common interaction is QE: easier to reconstruct neutrino energy.



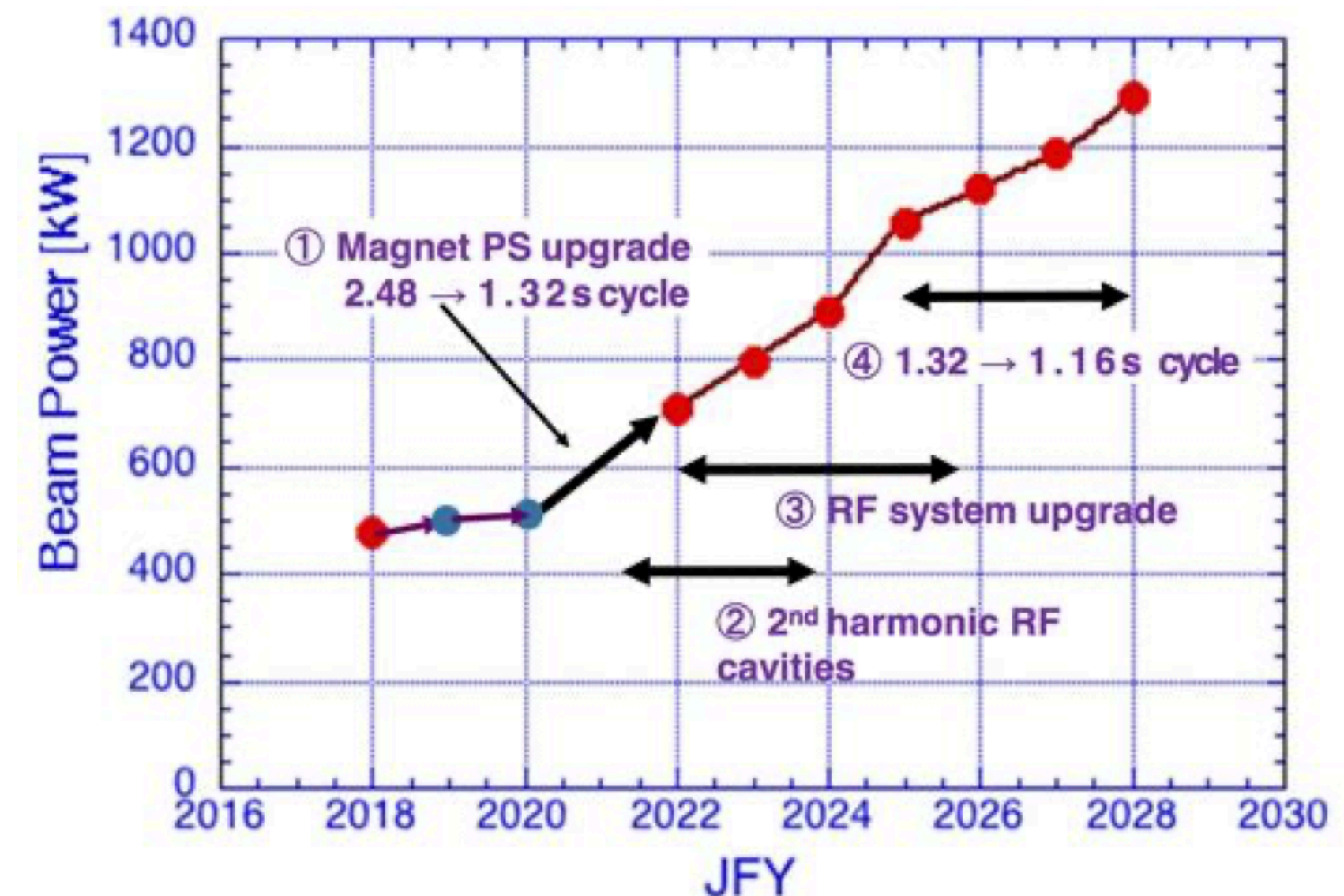
The T2(H)K experiment

From T2K to HK long baseline



HK long baseline is the future of the T2K experiment: the T2K baseline is being upgraded to accelerate the accumulation of statistics:

- Proton beam intensity increase at J-PARC
- New near detectors
- New far detector



Credit: Megan Friend, NuFact 2021

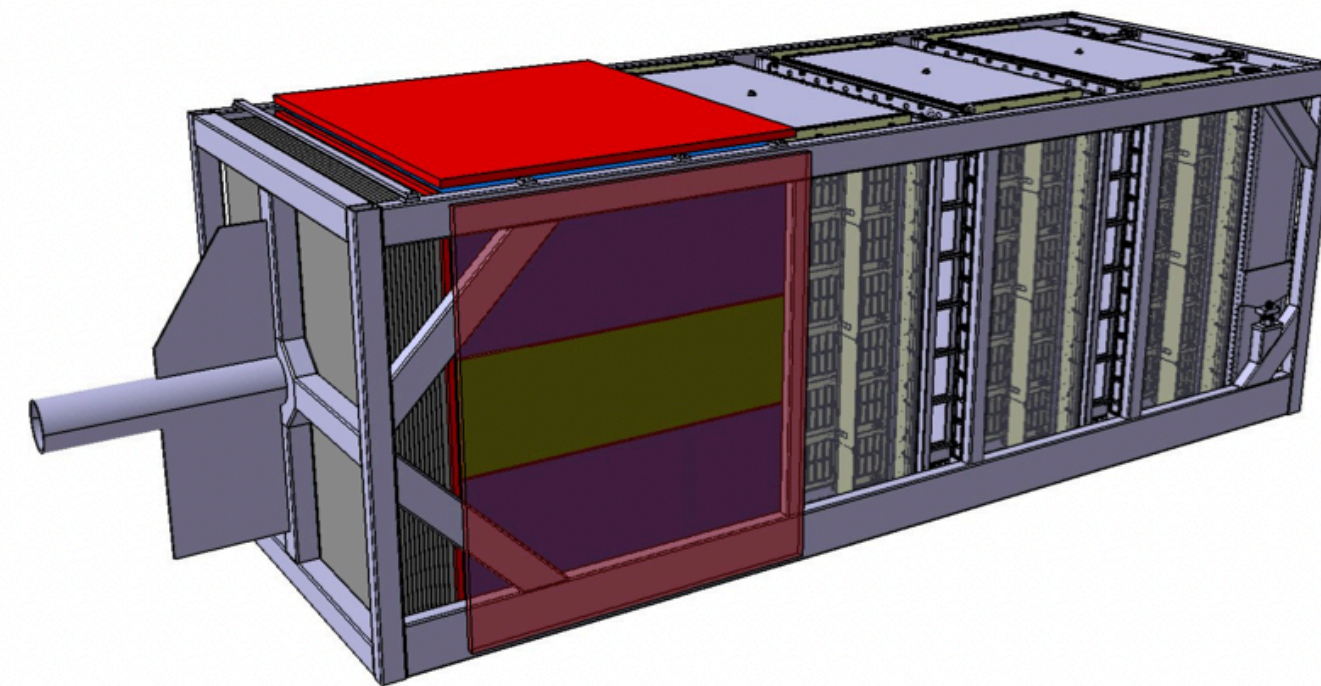
The T2(H)K experiment

From T2K to HK long baseline

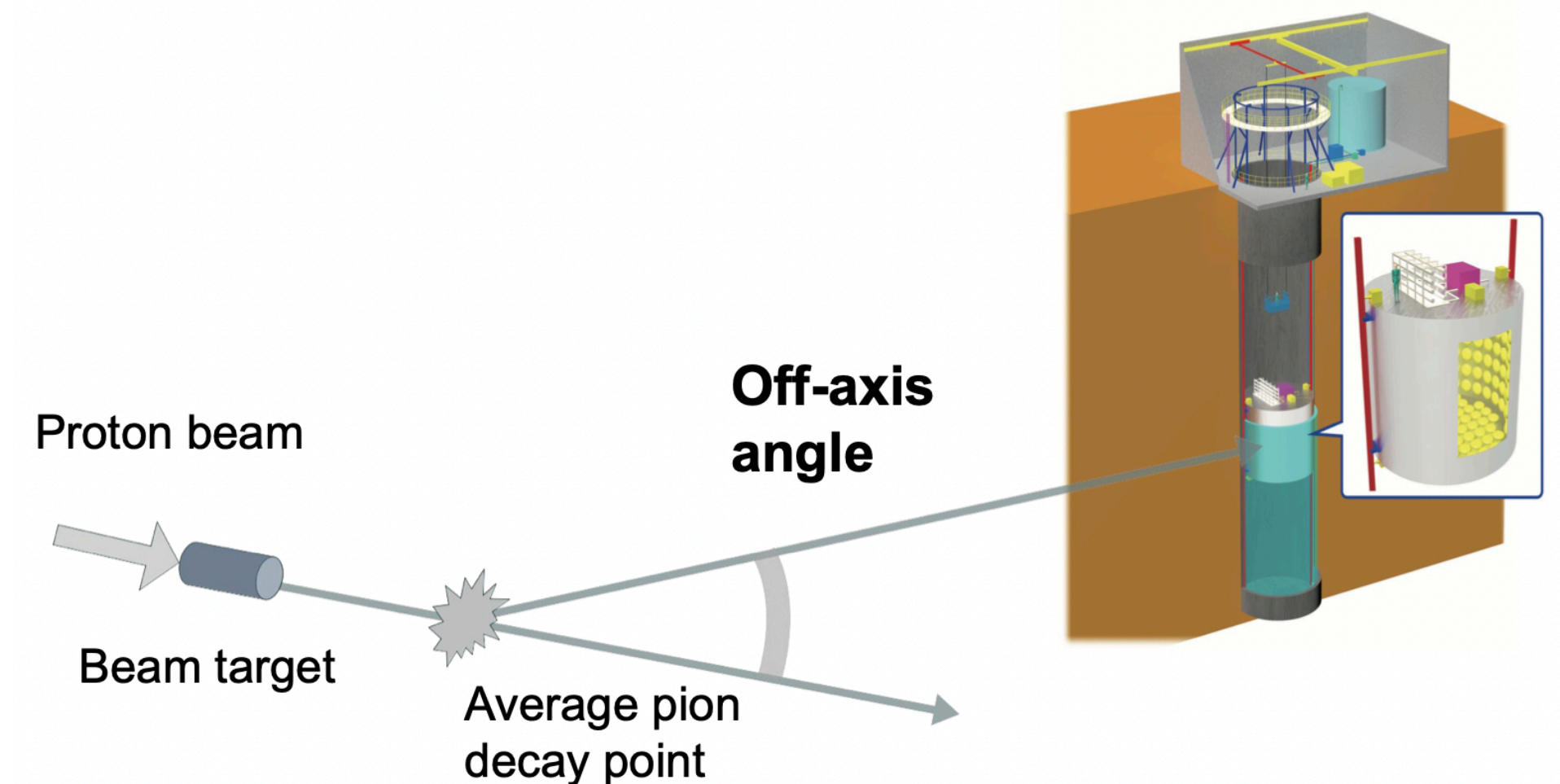


HK long baseline is the future of the T2K experiment: the T2K baseline is being upgraded to accelerate the accumulation of statistics:

- Proton beam intensity increase at J-PARC
- New near detectors
- New far detector



ND280 at 280m from T2K target:
Inherited from T2K
Is being upgraded for T2KII and
might undergo further upgrades
during HK data-taking



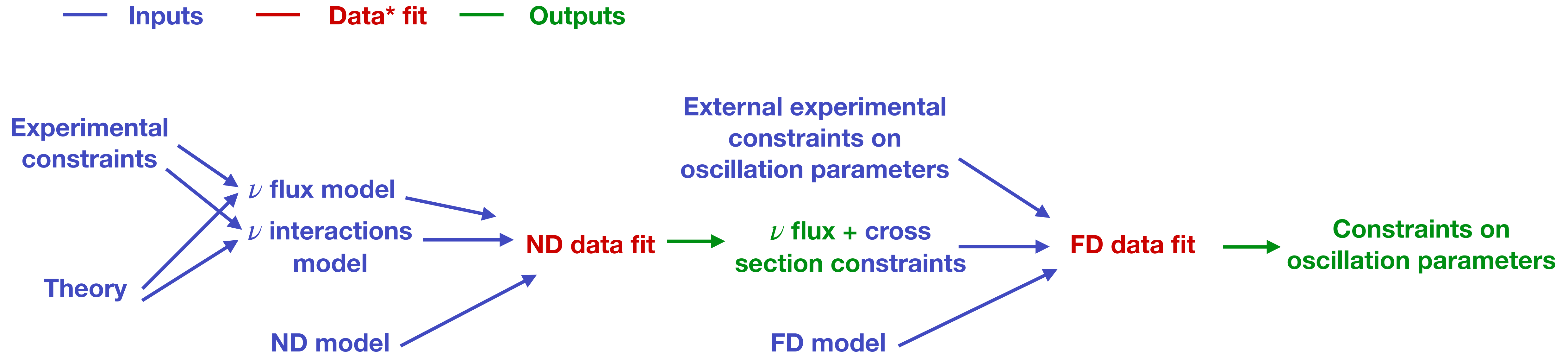
Intermediate Water Cherenkov Detector at ~1km
from target:
New detector that will be built for HK long baseline

HK sensitivity studies

Overview of the oscillation analysis in T2K



Hyper-Kamiokande



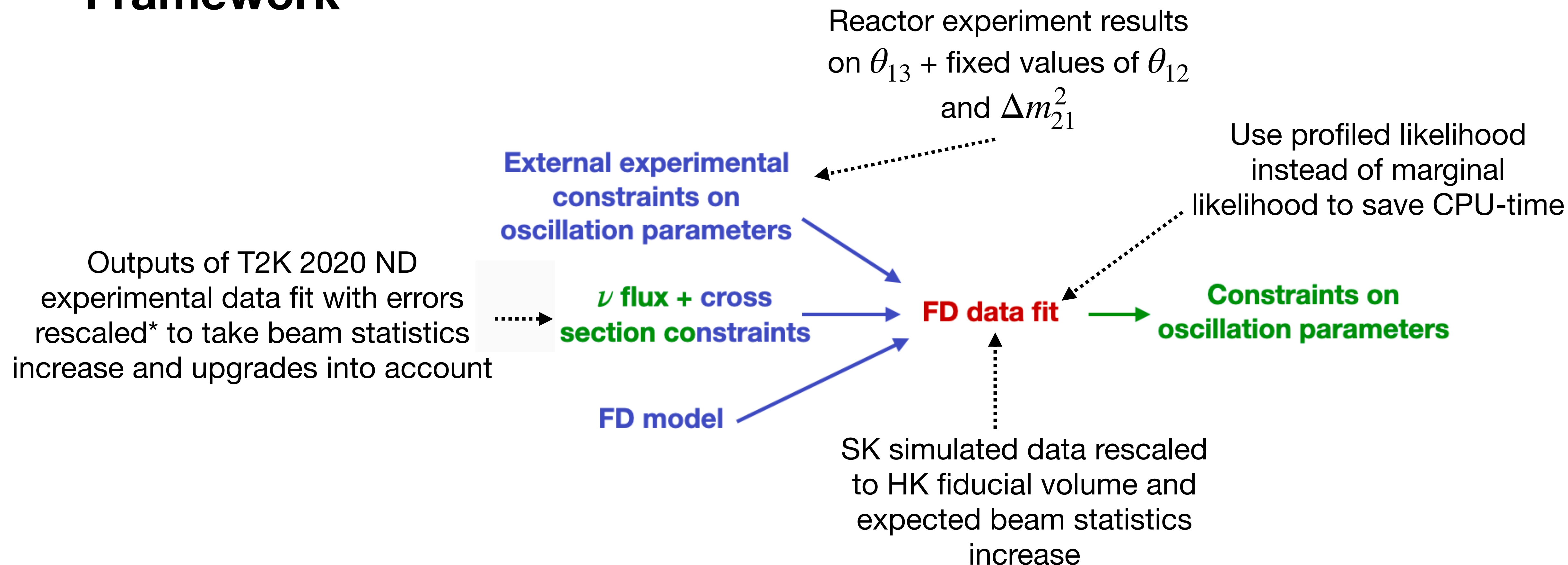
A similar framework was used to perform sensitivity studies for HK

*The data to fit can either be experimental data or simulated data (for sensitivity studies, fake data studies etc.)

HK sensitivity studies Framework



Hyper-Kamiokande



*This predicted error model is called Improved systematics (VS T2K 2020 systematics)

HK sensitivity studies

Likelihood minimisation



Hyper-Kamiokande

Use a **Poissonian** likelihood: $\ln \mathcal{L}_s(N^{obs}, x^{obs}, o, f) = - \sum_{\text{bin } i} \left((N_i^{exp}(o, f) - N_i^{obs}) + N_i^{obs} \times \ln(N_i^{obs} / N_i^{exp}(o, f)) \right)$

Number of observed events (points to N^{obs})

Systematic parameters (points to x^{obs})

Kinematic variables measured (points to o)

Oscillation parameters (points to f)

Expected number of events for given (o, f) (points to $N_i^{exp}(o, f)$)

And a penalty for **systematic effects**: $\ln \mathcal{L}_{syst}(f) = - \frac{(f - f_0)^T V^{-1} (f - f_0)}{2}$

Prior covariance matrix* (points to V^{-1})

Prior central values** (points to f_0)

$\chi^2 \equiv -2 \ln \mathcal{L} = -2 \ln \mathcal{L}_s - 2 \ln \mathcal{L}_{syst}$ is minimised with gradient descent algorithm of Minuit 2

* For T2K 2020 or Improved error model

** Set to values that do not affect the Monte Carlo results or to the results of ND data fit

HK sensitivity studies

Marginal likelihood

$$\mathcal{L}_{prof} = \max_{\eta} \mathcal{L}(\eta)$$

↓

$$\mathcal{L}_{marg} = \frac{1}{N} \sum_{i=1}^N \mathcal{L}(\eta_i)$$

Average over N realisations of the likelihood. The η_i are randomly thrown from a given distribution. This estimation of the marginal likelihood is biased with $B \sim 1/N$. The bias also increases with statistics, meaning that for HK it becomes much more cpu-consuming.

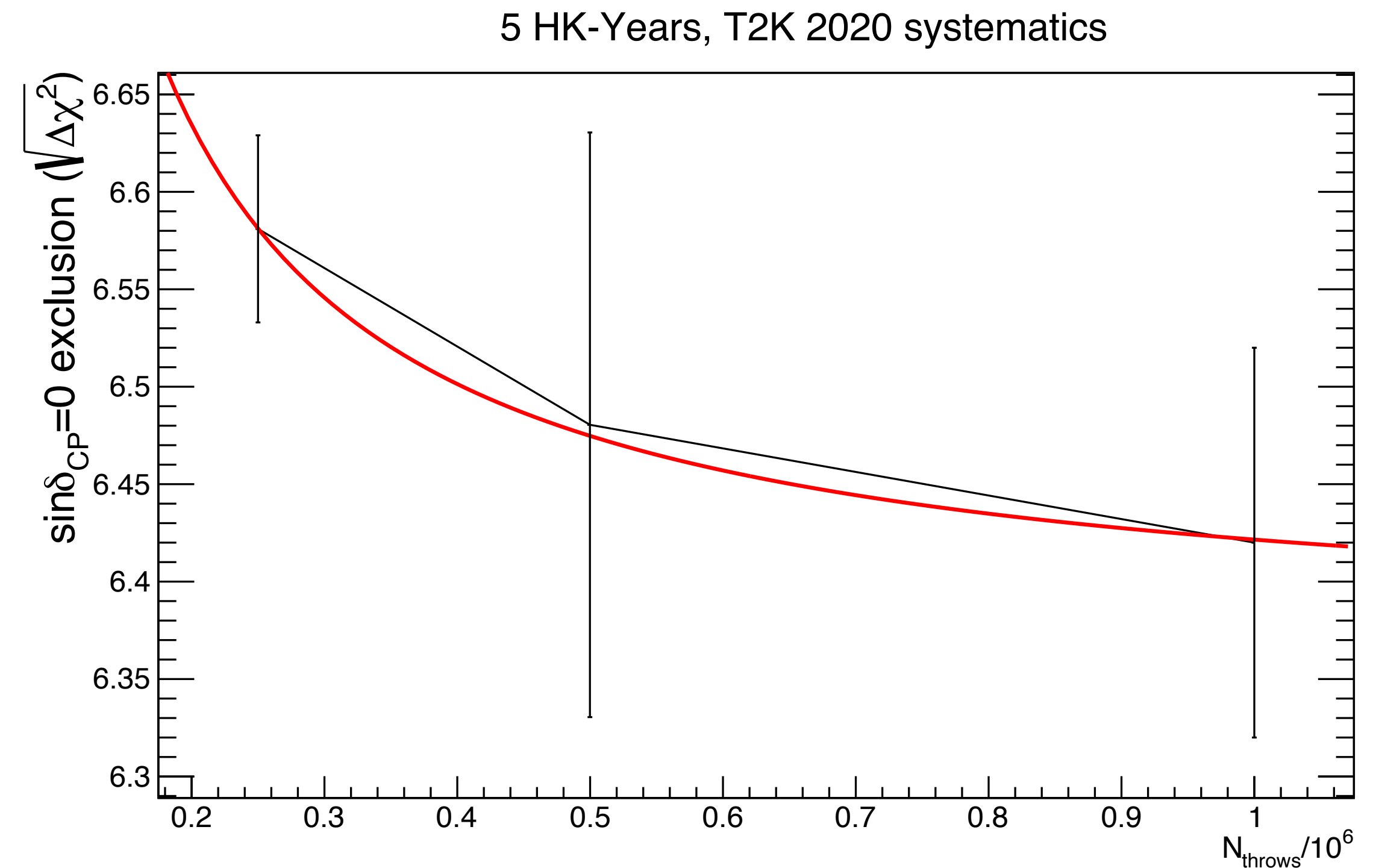


Illustration of the bias of the marginal likelihood behaving as $1/N$

HK sensitivity studies

Systematic uncertainties



T2K 2020 Improved	Neutrino beam 1 electron ring	Neutrino beam 1 muon ring	Antineutrino beam 1 electron ring	Antineutrino beam 1 muon ring	Neutrino beam 1 electron ring + 1 decay electron
ND constrained flux + cross section	3.6% 1.8%	2.1% 0.9%	4.3% 1.6%	3.4% 0.9%	4.9% 1.8%
Other cross section	3.0% 1.6%	0.5% 0.4%	3.7% 1.4%	2.6% 0.4%	2.7% 1.6%
Detector	3.1% 1.1%	2.1% 0.8%	3.9% 1.5%	1.9% 0.7%	13.2% 4.9%
All	4.7% 2.1%	3.0% 1.2%	5.9% 2.2%	4.0% 1.1%	4.6% 2.0%

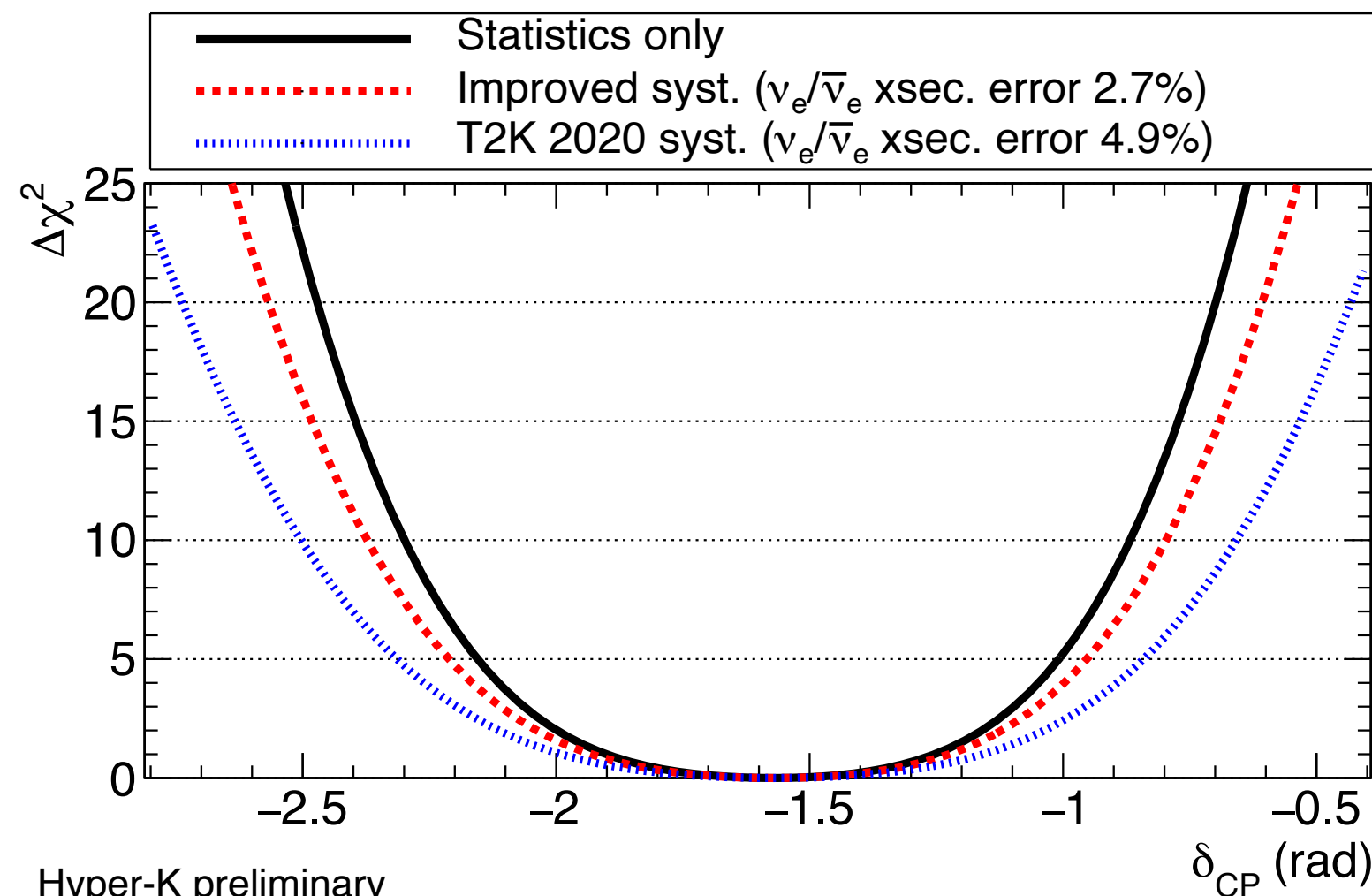
Systematic uncertainties on the event rates in HK per sample for the **T2K 2020** systematic and the **Improved** ones

HK sensitivity studies

Results



Sensitivity after 10 years of data-taking: $\Delta\chi^2$ curves

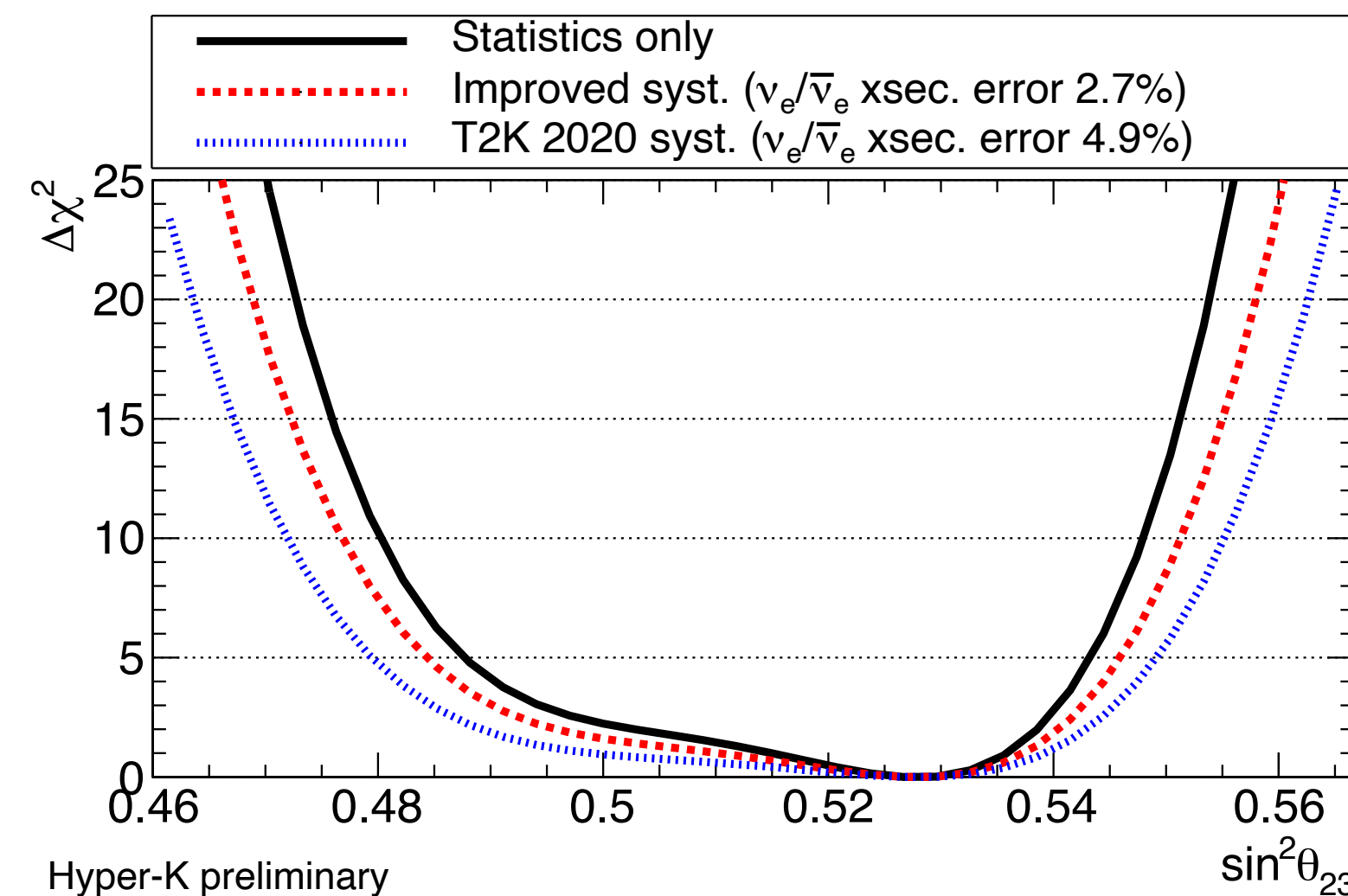


Hyper-K preliminary

True normal ordering (known), 10 years (2.7×10^{22} POT 1:3 $\nu:\bar{\nu}$)

$\sin^2\theta_{13}=0.0218 \pm 0.0007$, $\sin^2\theta_{23}=0.528$, $\Delta m_{32}^2=2.509 \times 10^{-3} \text{ eV}^2/\text{c}^4$, $\delta_{CP}=-\pi/2$

δ_{CP}

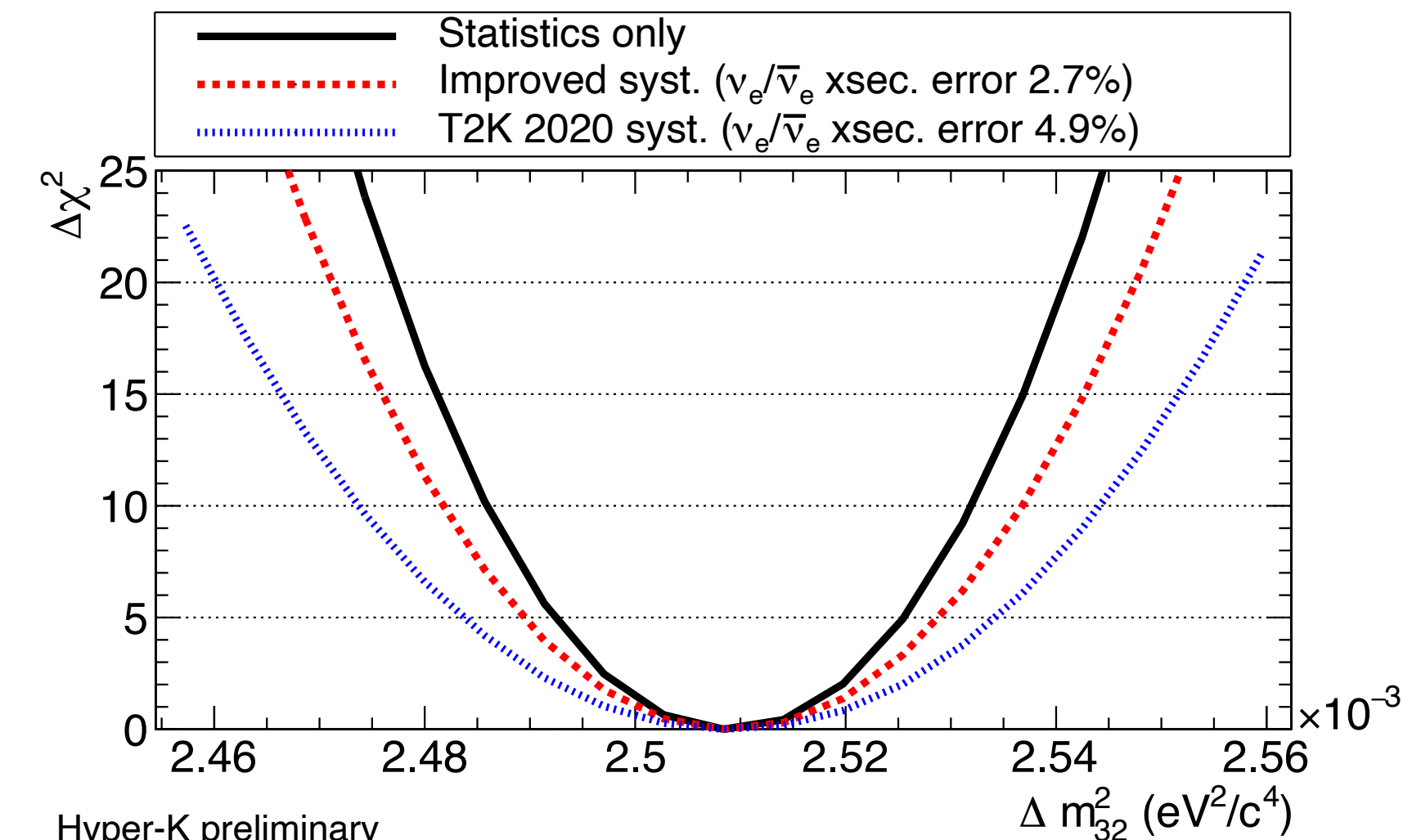


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$\sin^2\theta_{23}$



Hyper-K preliminary

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Δm_{32}^2

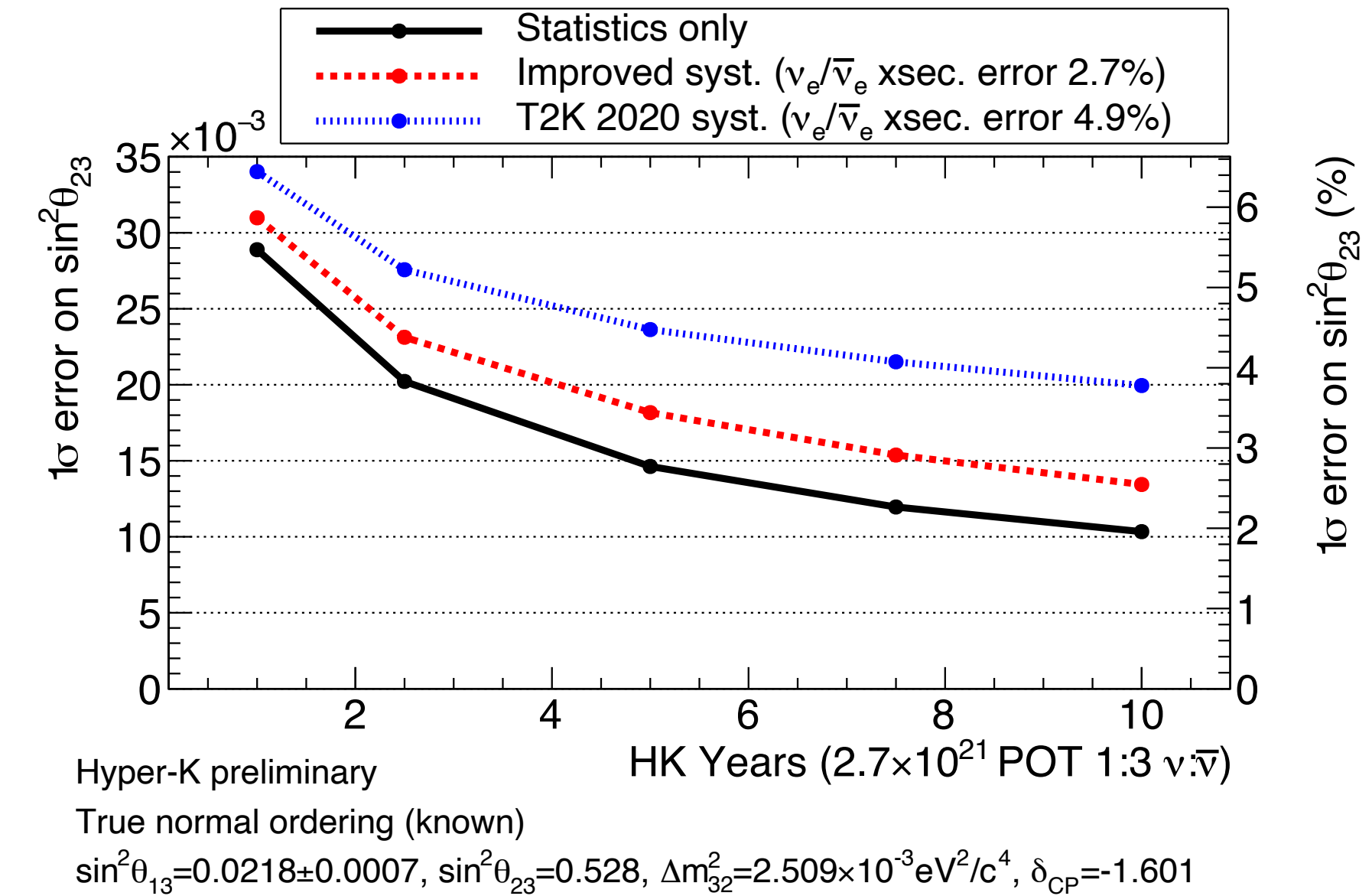
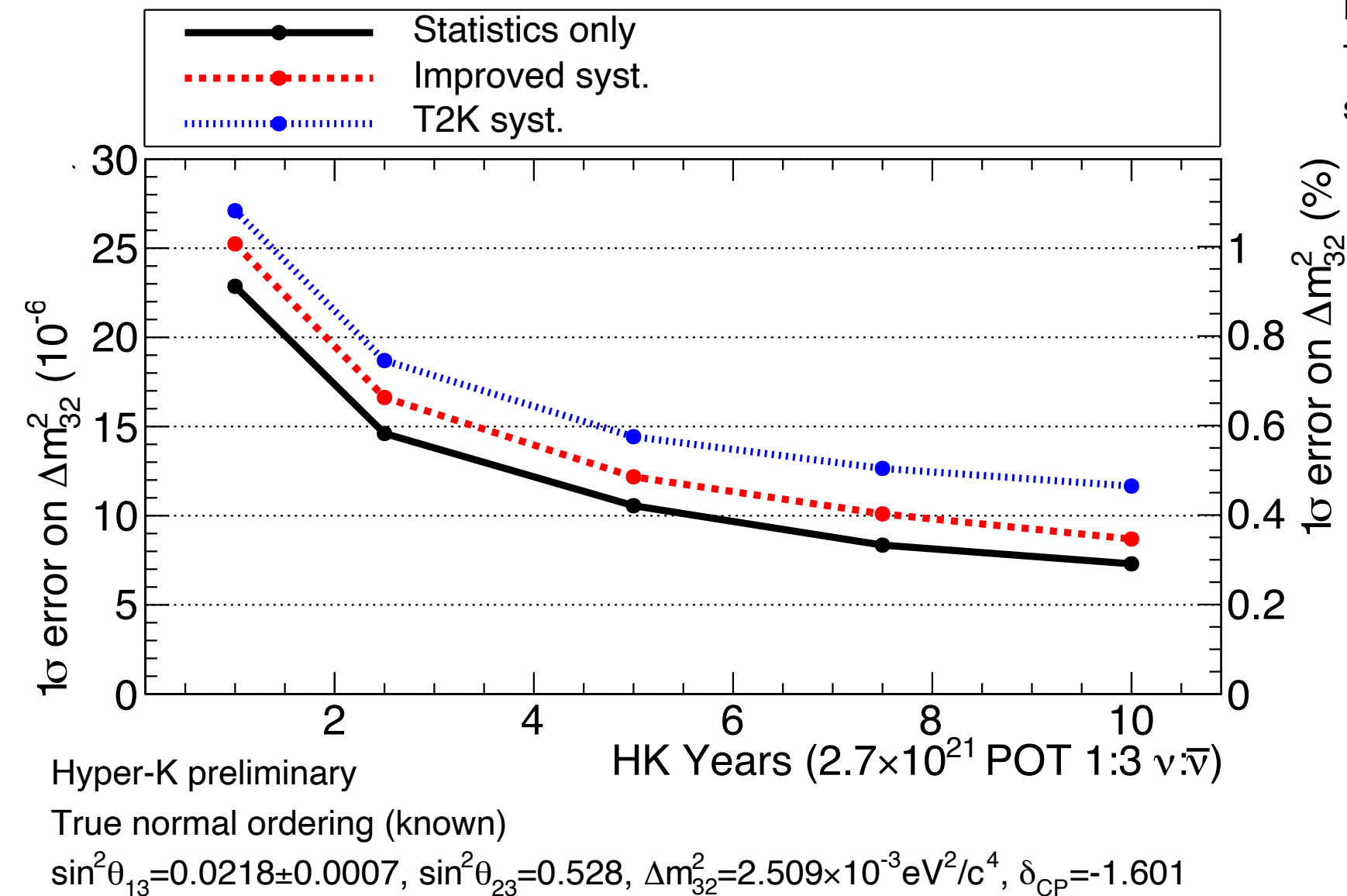
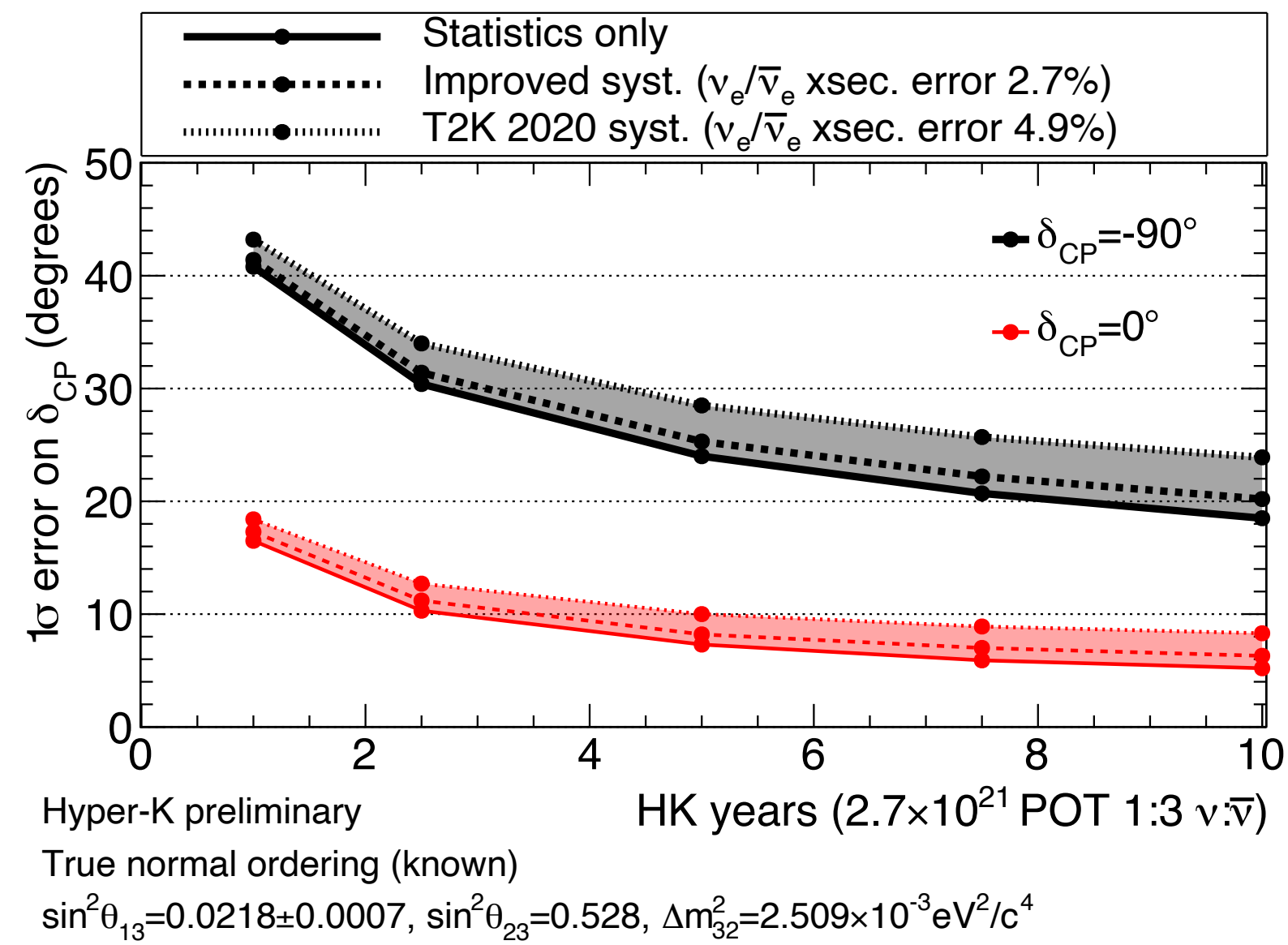
We estimate the resolution by taking the width of the curves at $\Delta\chi^2 = 1$

HK sensitivity studies

Results



Hyper-Kamiokande



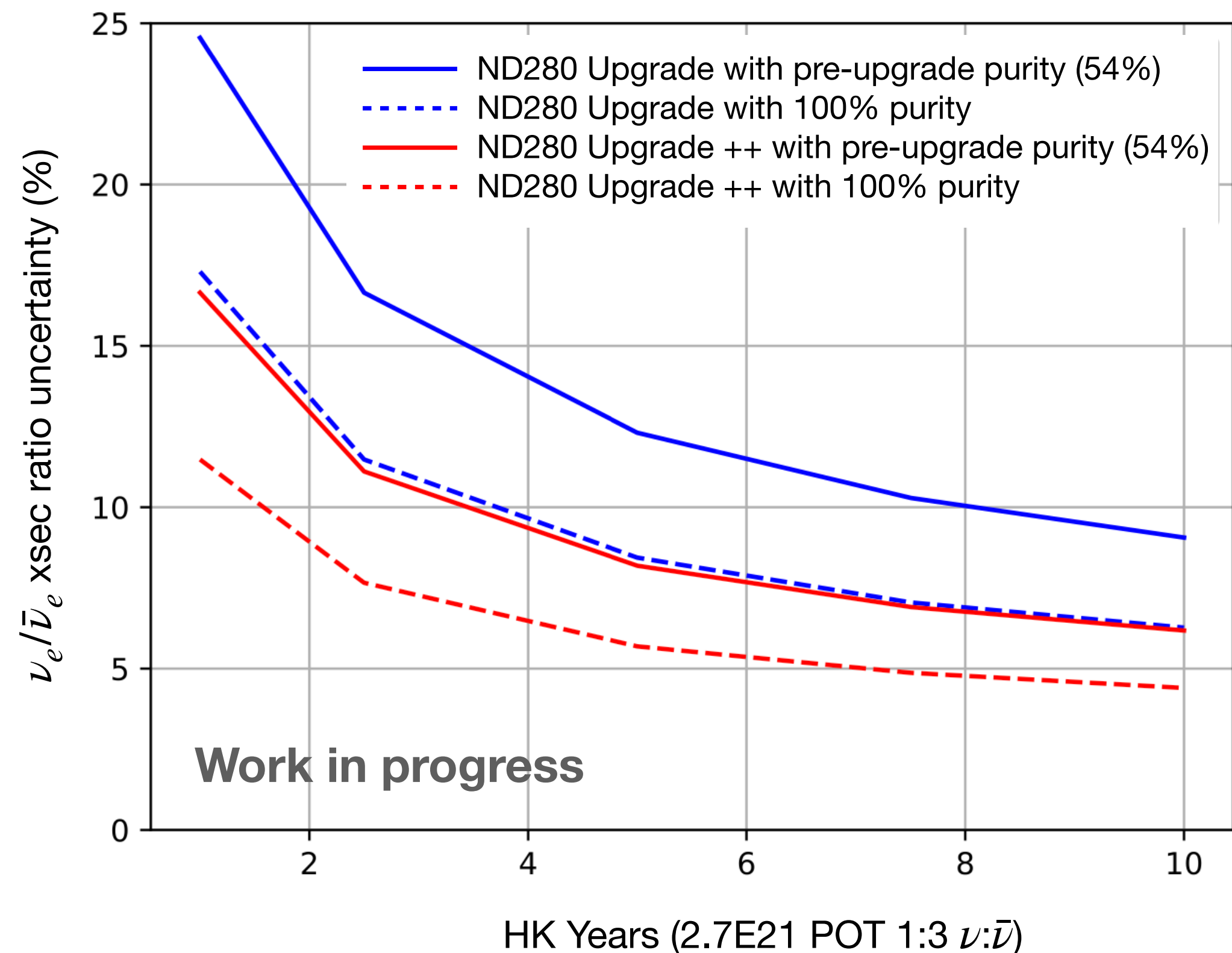


Plan to reduce systematics

Example: $\nu_e/\bar{\nu}_e$ cross-section ratio uncertainty

This measurement is challenging as the $\nu_e/\bar{\nu}_e$ contamination of the beam is very low (few percents)

With **only ND280 upgrade**, could reach a **$\sim 7.5\%$** uncertainty or below with the upgrade ++



Estimation of ND280 constraint on $\sigma(\nu_e)/\sigma(\bar{\nu}_e)$ with upgrade or upgrade ++ mass, pre-upgrade efficiency and pre-upgrade or 100% purity.

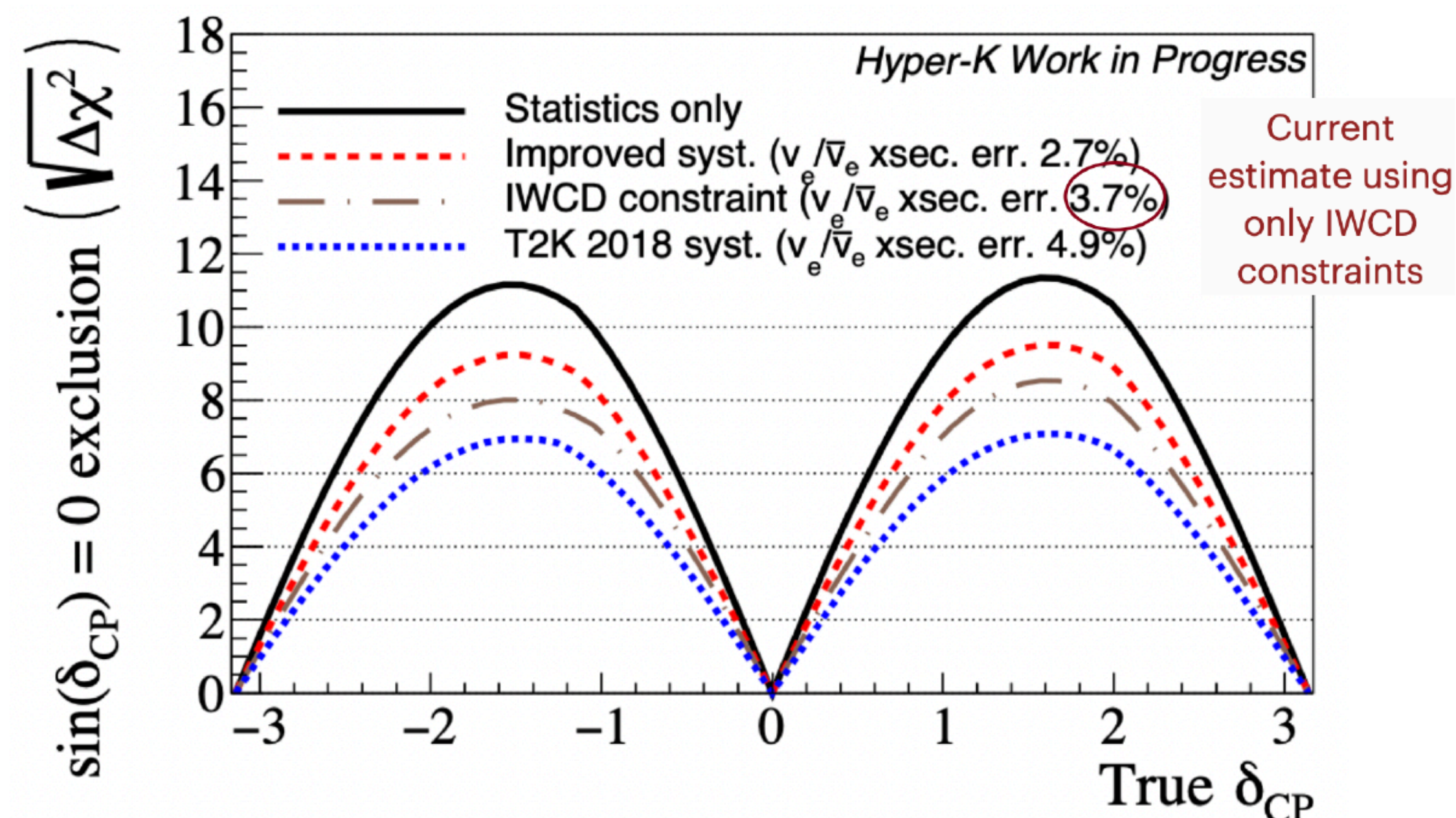


Plan to reduce systematics

Example: $\nu_e/\bar{\nu}_e$ cross-section ratio uncertainty

With **only IWCD**, could reach a **$\sim 3.7\%$** uncertainty

With **ND280 upgrade (++) and IWCD**, the goal is to go **below 3%** uncertainty after 10 years of HK-LBL

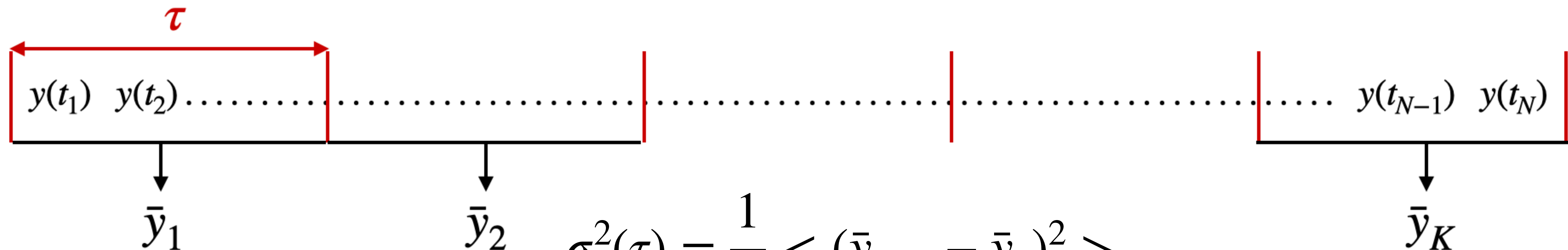


Significance level to exclude the CP-conserving values (0 and $\pm\pi$) of δ_{CP} after 10 years with HK.

Timing distribution

Equipment characterisation

The Allan Standard Deviation is used to characterise the stability of a signal compared to another using **frequency ratio** y . For N measurements, we split the measurement time into K time intervals of a given length τ .



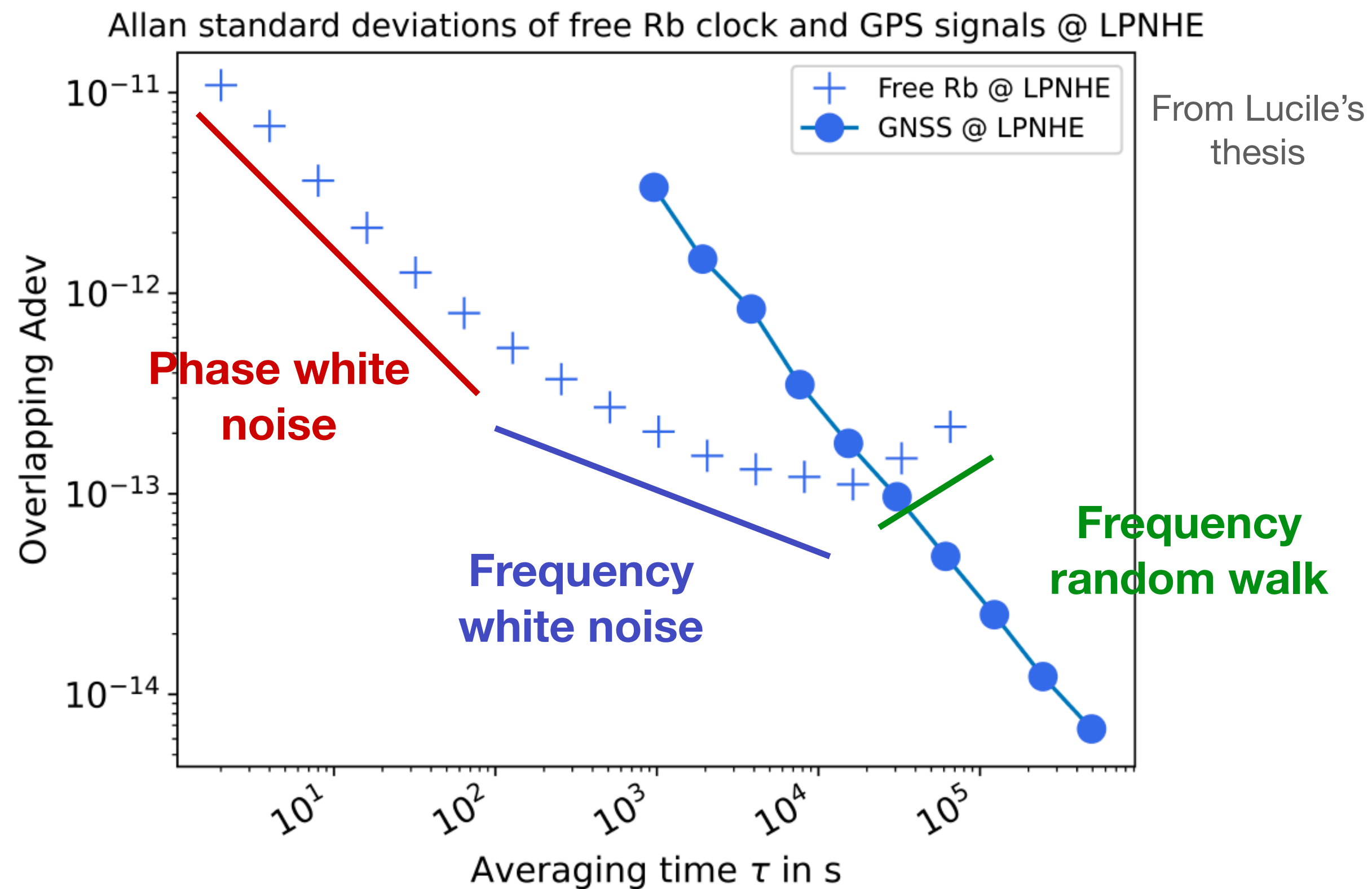
Difference of the mean of y for
two consecutive intervals of
length τ

A similar formula can be derived for
overlapping intervals and for time
differences instead of frequency ratios

Timing distribution

Equipment characterisation

The ASD $\sigma(\tau)$ can then be plotted as function of τ . The dependency in τ depends on the type of noise in the signal.



The Rubidium signal is more stable than the GNSS at short term but gets worse at long term because of the frequency random walk.

Need to correct the long term instability due to the frequency random walk

From Lucile's thesis

Timing distribution

Rubidium clock signal correction



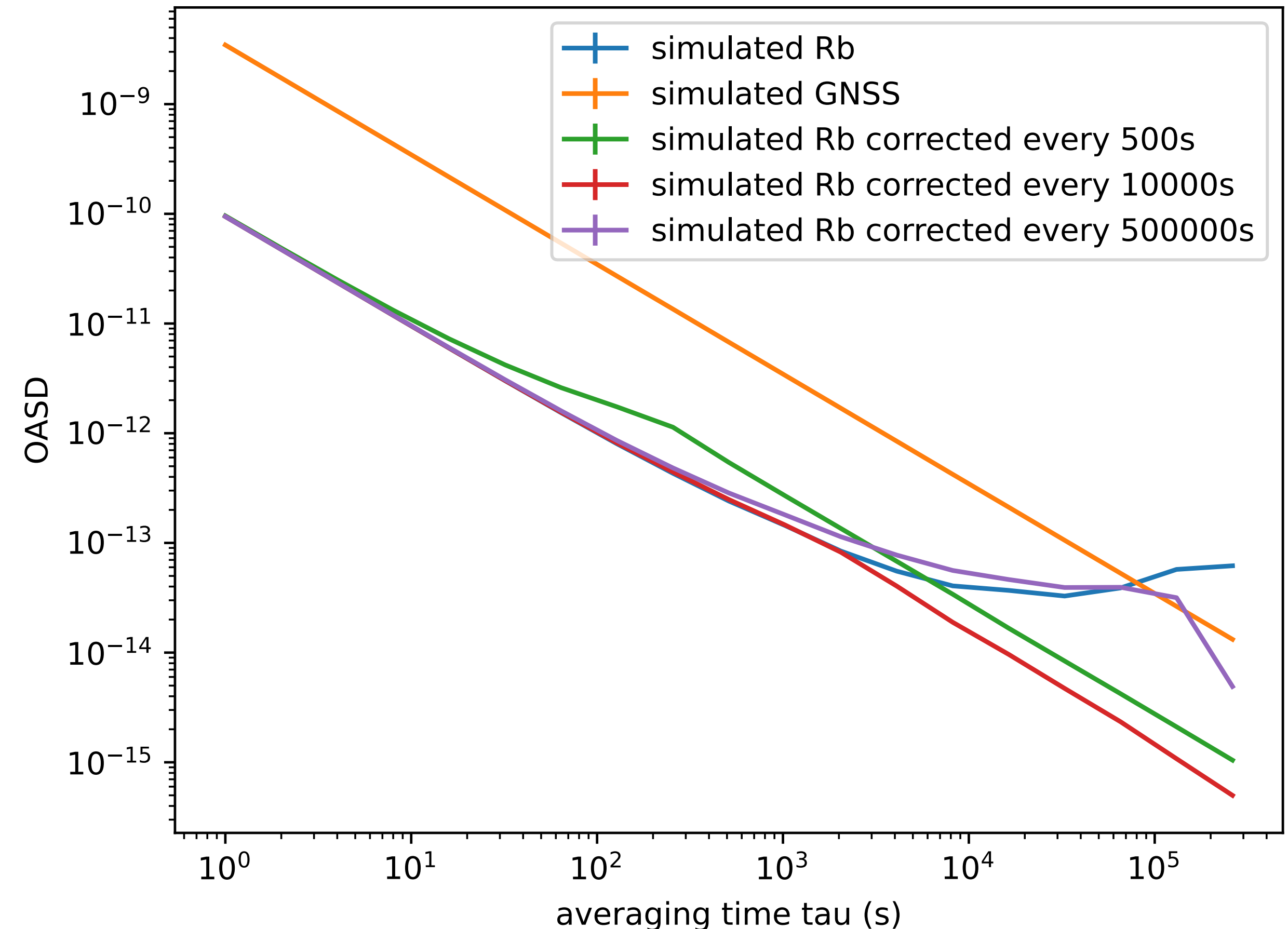
The frequency random walk leads to a polynomial time dependency of the time differences between the Rb and the GNSS PPS:

$$t_{Rb}^i - t_{GNSS}^i = a \times t_i^2 + b \times t_i + c \text{ for } i^{th} \text{ measurement}$$

So one can **regularly** fit $\Delta t_{Rb,GNSS}(t)$ and correct:

$$t_{Rb,corr}^i = t_{Rb}^i - (a \times t_i^2 + b \times t_i + c)$$

Measurement in progress to try the correction with experimental data.



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2022 replica target data calibration



Hyper-Kamiokande

Done:

- BPDs relative alignment
- Time stamp calibration

In progress:

- TPC position calibration
- Drift velocity calibration
- MC simulation

To be done:

- TPC alignment with other detectors
- Gain (or dEdx) calibration in TPCs
- TOF calibration
- Data analysis

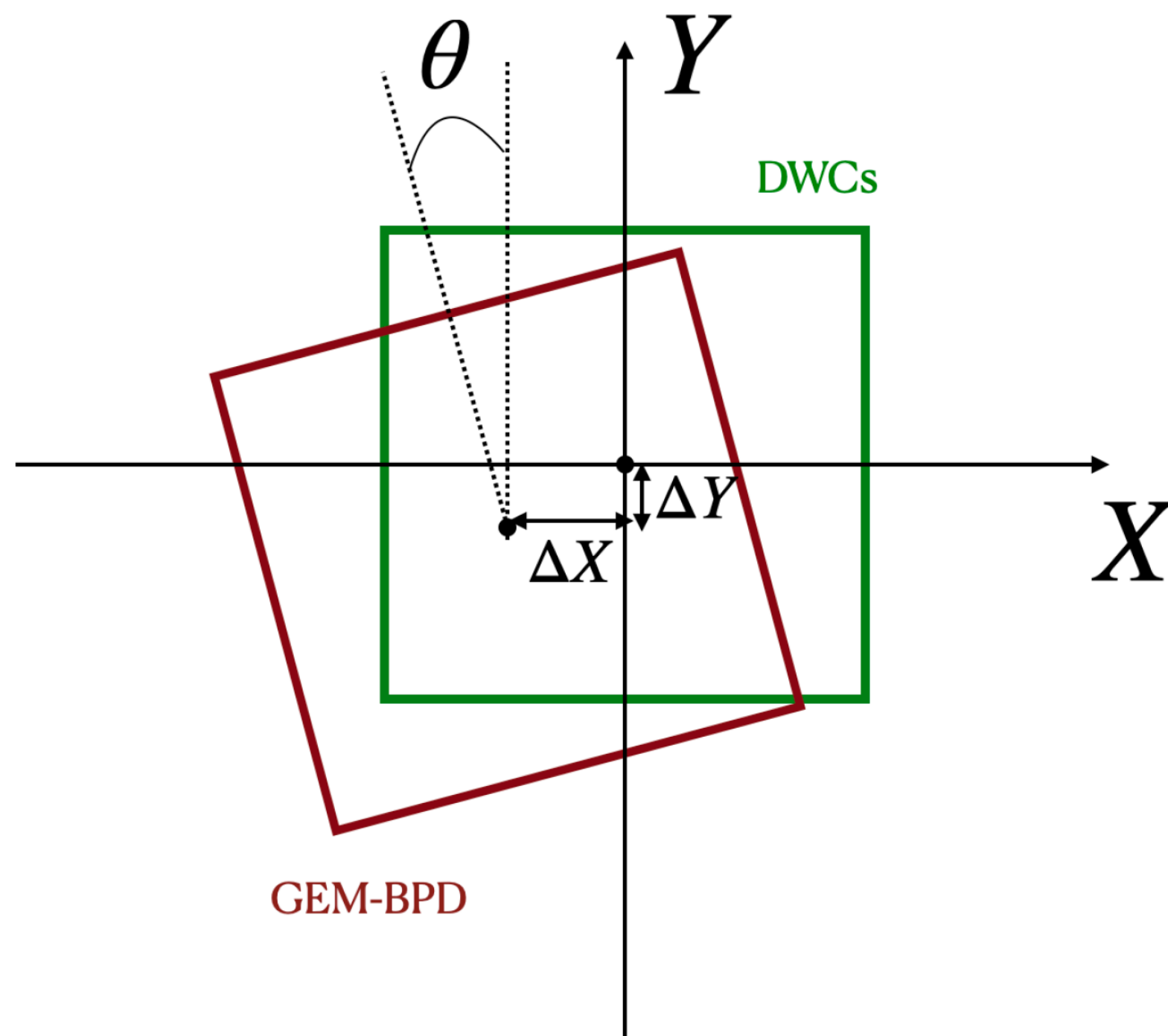
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BPD alignment: done



Beam Position Detectors: three detectors along beam line that **allow to reconstruct the beam particle tracks** (essential to match with the interaction vertex in the target).

The three detectors have to be aligned!!



A special run was taken with two additional detectors (Delay Wire Chambers) along the beam line.

Idea: if we align each BPD with the two DWCs, then the BPDs will be aligned together.

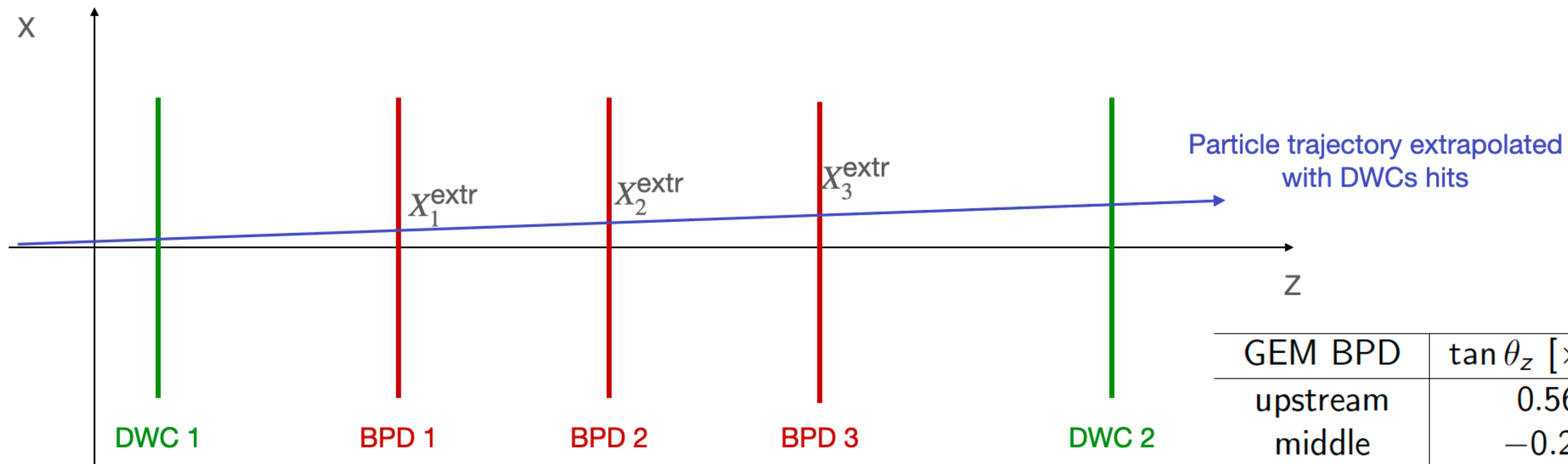
3 degrees of freedom for each detector i:

- Shift in X: ΔX_i
- Shift in Y: ΔY_i
- Rotation around beam direction: θ_i

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BPD alignment: done

The “misalignment parameters” are extracted by comparing the extrapolated and measured beam hits position at each BPD



GEM BPD	$\tan \theta_z [\times 10^3]$	$\Delta X [\mu\text{m}]$	$\Delta Y [\mu\text{m}]$
upstream	0.56	-3.7	5.5
middle	-0.22	1.2	-2.9
downstream	0.43	-3.0	4.8

Residual “misalignment” between each BPD and the two others after correction

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Drift velocity calibration: ongoing

The y position of clusters in the TPCs is extracted from the measured drift time:

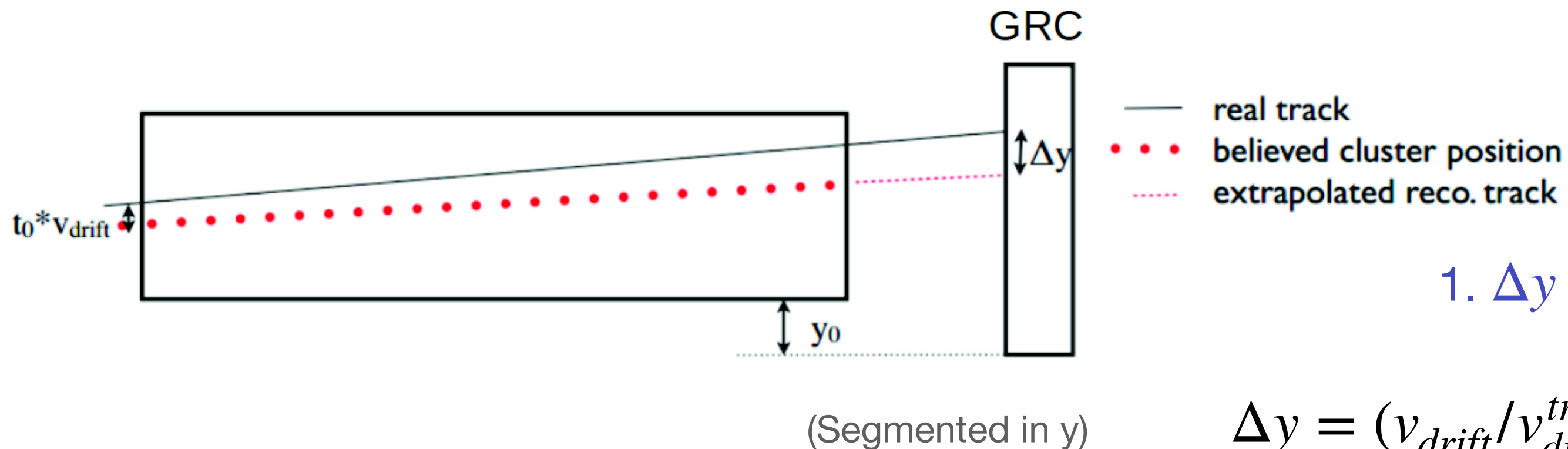
Quantities to
calibrate

$$y = v_{drift} \times (t_{drift} - t_0) + y_0$$

Position offset
(TPC position)

Drift velocity

Time offset
(cable length)



1. Δy against y gives v_{drift}^{true} 2. Δy against v_{drift} gives t_0^{true}

$$\Delta y = (v_{drift}/v_{drift}^{true} - 1) \times y + (y_0 - v_{drift} \times (t_0 - t_0^{true}) - v_{drift}/v_{drift}^{true} \times y_0^{true})$$

3. Residual Δy gives y_0^{true}

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2022 replica target data analysis



Once data is calibrated, move on to analysis. Once again, many steps needed:

- Track selection (beam+TPC)
- Particle Identification: use dEdx in TPC
- Corrections using MC
- Uncertainties estimation
- Etc.

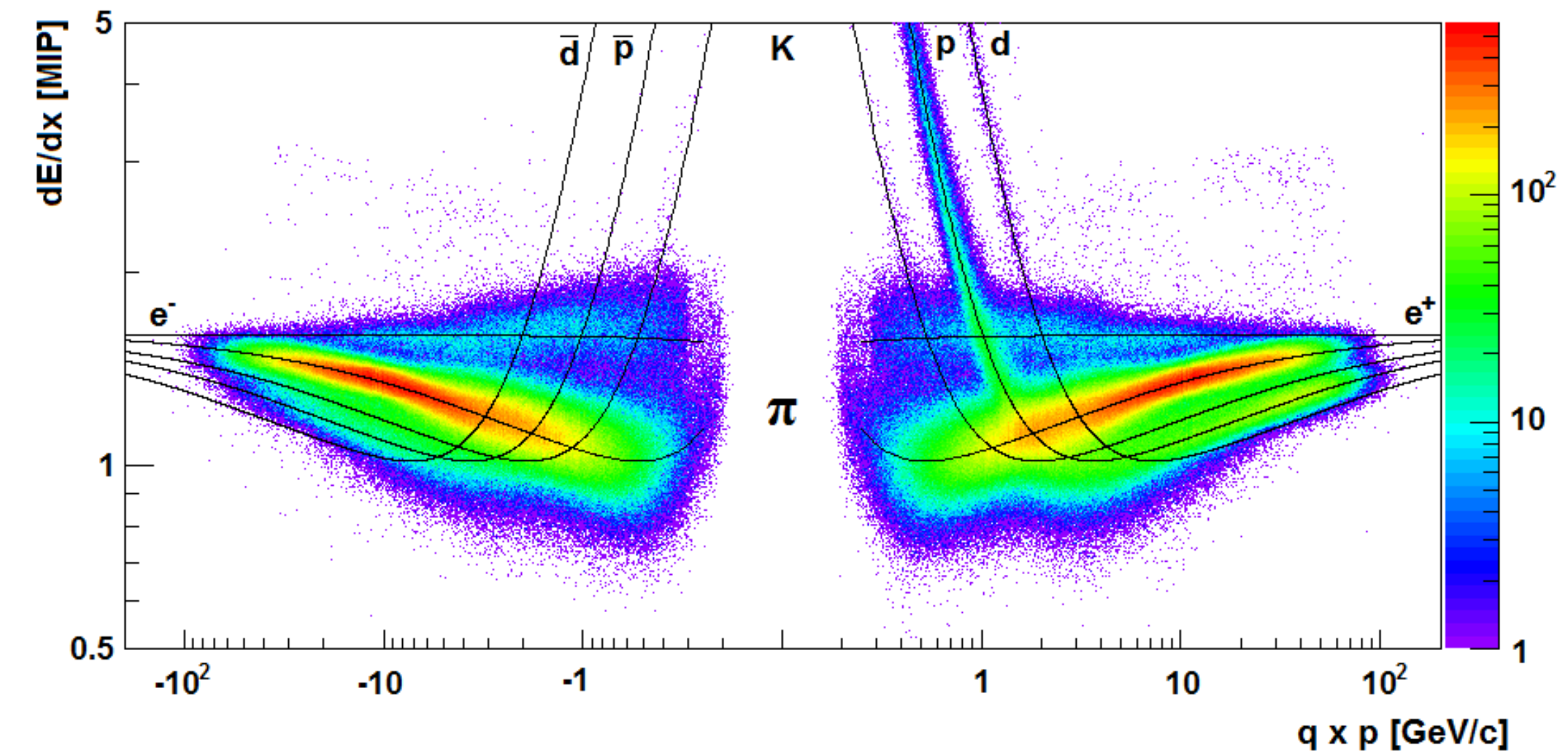


Illustration of the PID technique using dEdx