



Search for the $B_s^0 \rightarrow \mu^+ \mu^- \gamma$ decay at LHCb

INTENSITY

frontier

GDR-InF

Workshop on radiative leptonic B decays

Marseille

29/02/2024

Irene Bachiller on behalf of the LHCb Collaboration

LAPP, CNRS, France



Rare and radiative b -hadron decays

The $b \rightarrow s\gamma$ transition is a flavour-changing neutral-current process characterised by the emission of a photon (γ).
Powerful tool to test the SM, with access to branching fractions, angular and charge-parity-violating observables:

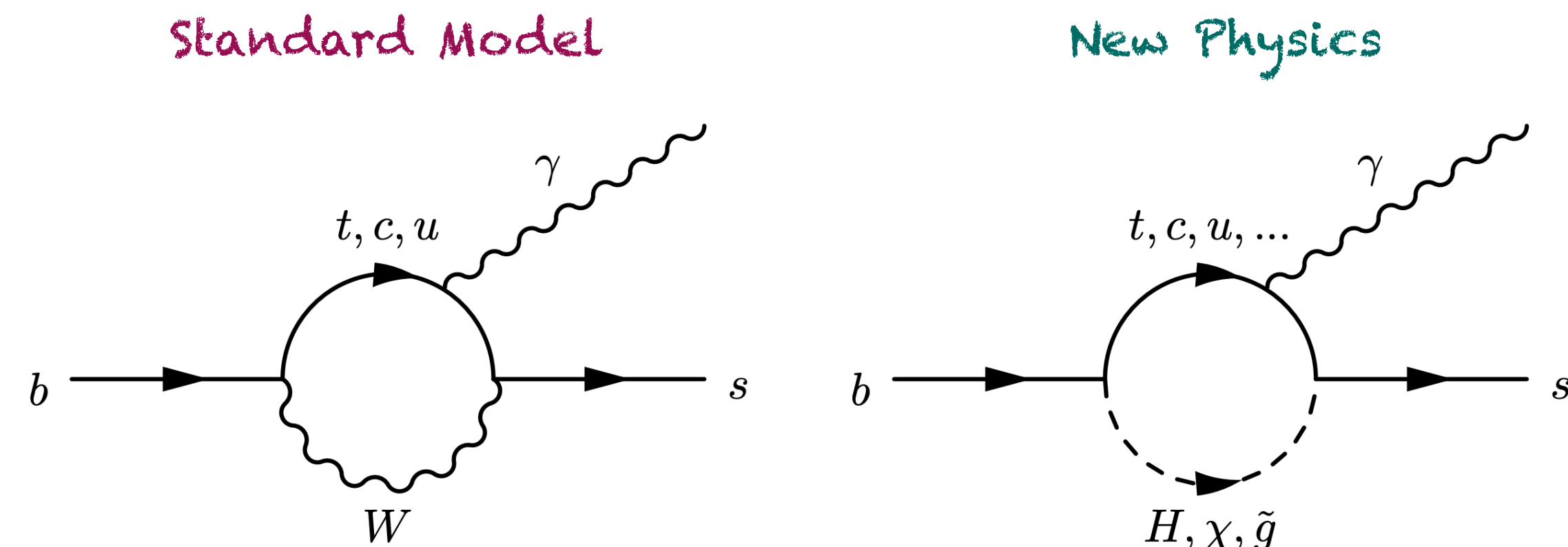
- Possibility of testing the presence of right-handed photons (highly suppressed in the SM).

Rare = highly **suppressed** in SM:

- Higher orders diagrams
- FCNC box or penguin diagrams
- $b \rightarrow sll$

Signal different from SM?

Possible new physics!



Some LHCb's results on radiative decays:

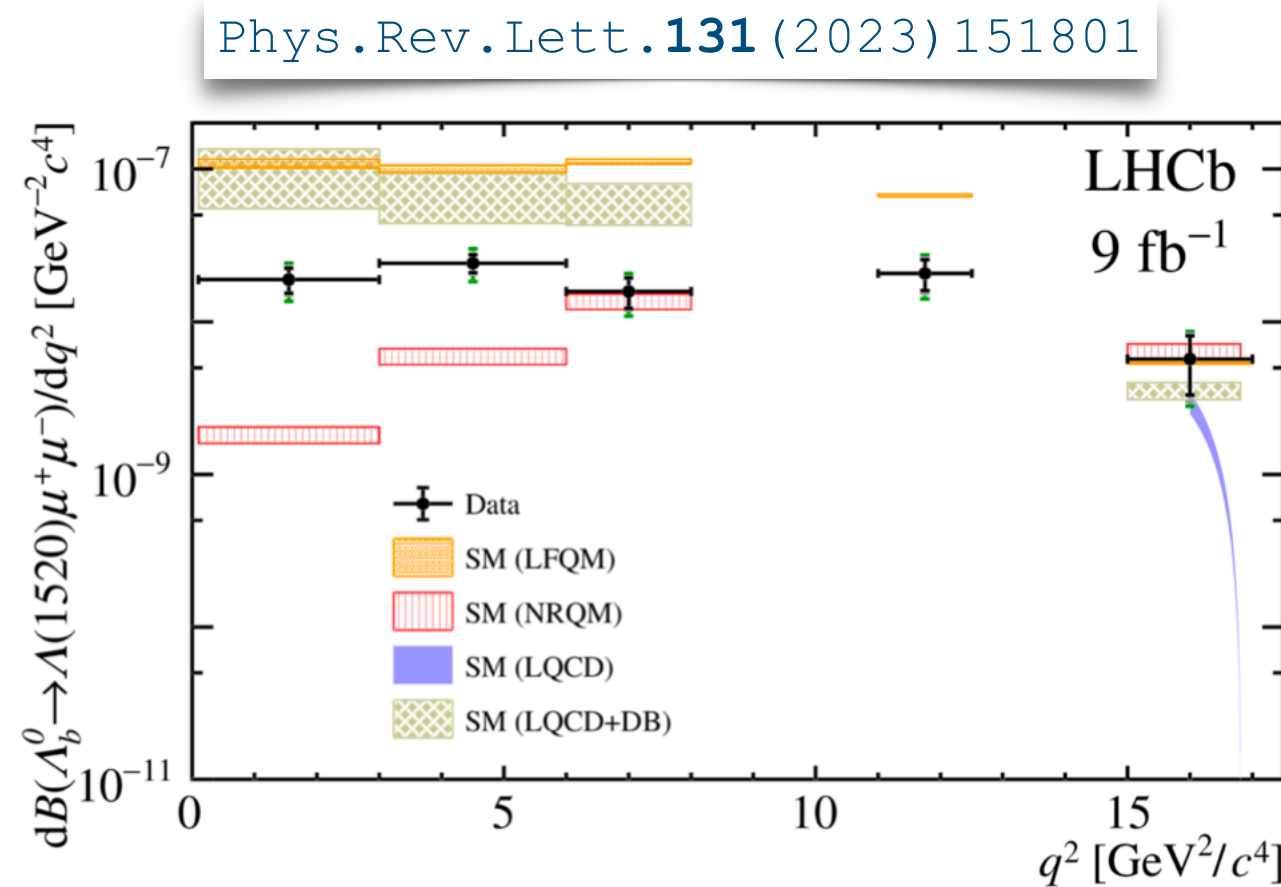
- Measurement of CP-Violating and Mixing-Induced Observables in $B_s^0 \rightarrow \phi\gamma$ decays [[Phys.Rev.Lett.123,081802](#)]
- Measurement of the photon polarisation in $\Lambda_b^0 \rightarrow \Lambda\gamma$ decays [[Phys.Rev.D105\(2022\)L051104](#)]
- Search for the radiative $\Xi_b^- \rightarrow \Xi^-\gamma$ decay [[JHEP01\(2022\)069](#)]



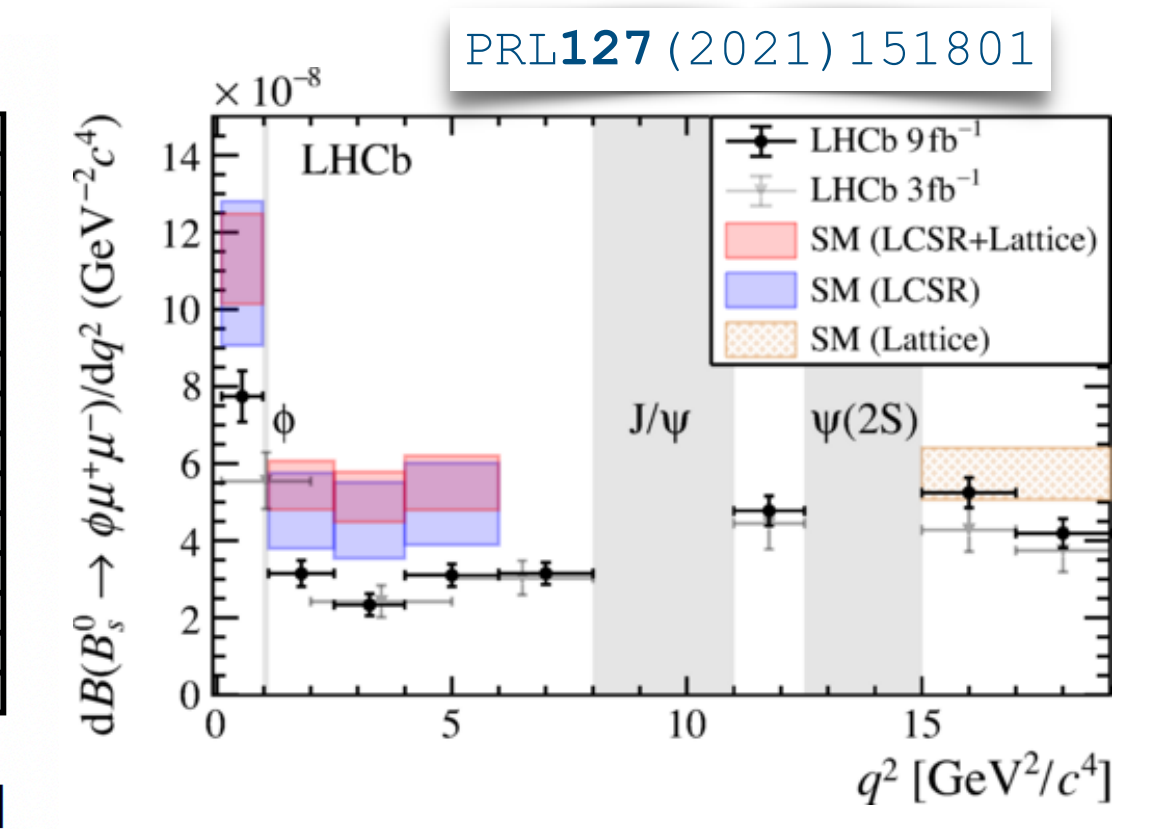
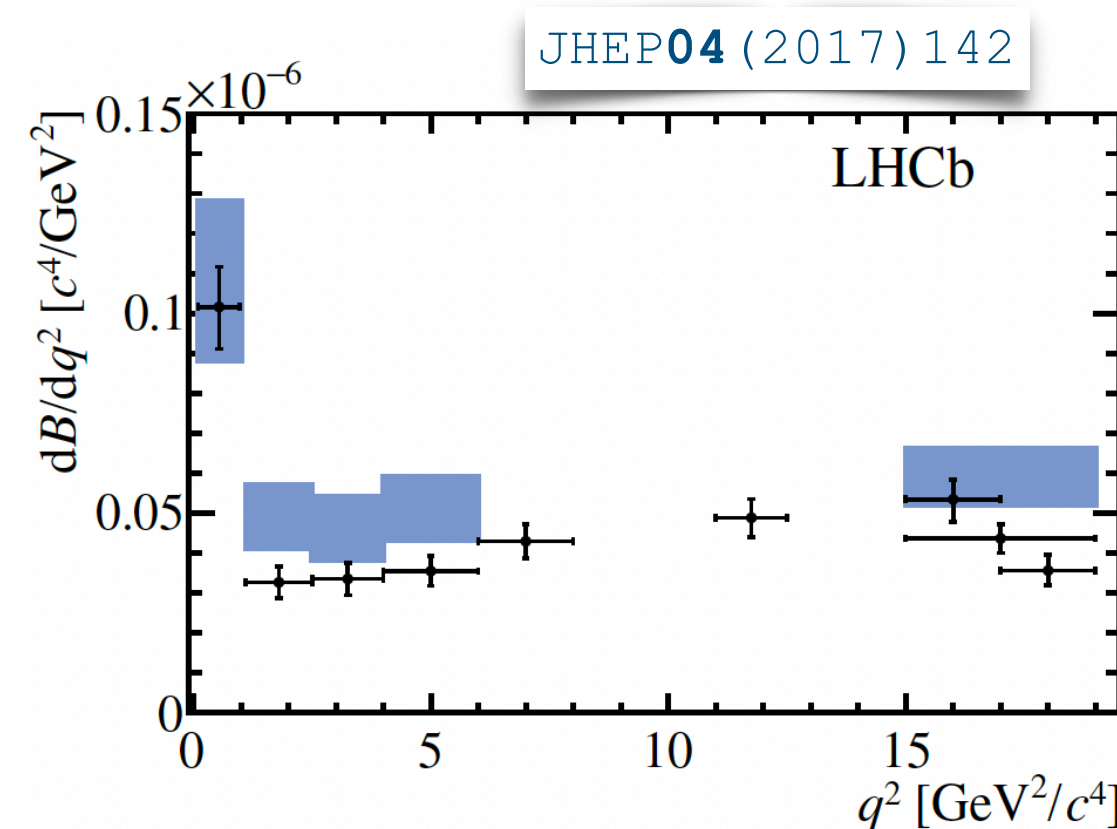
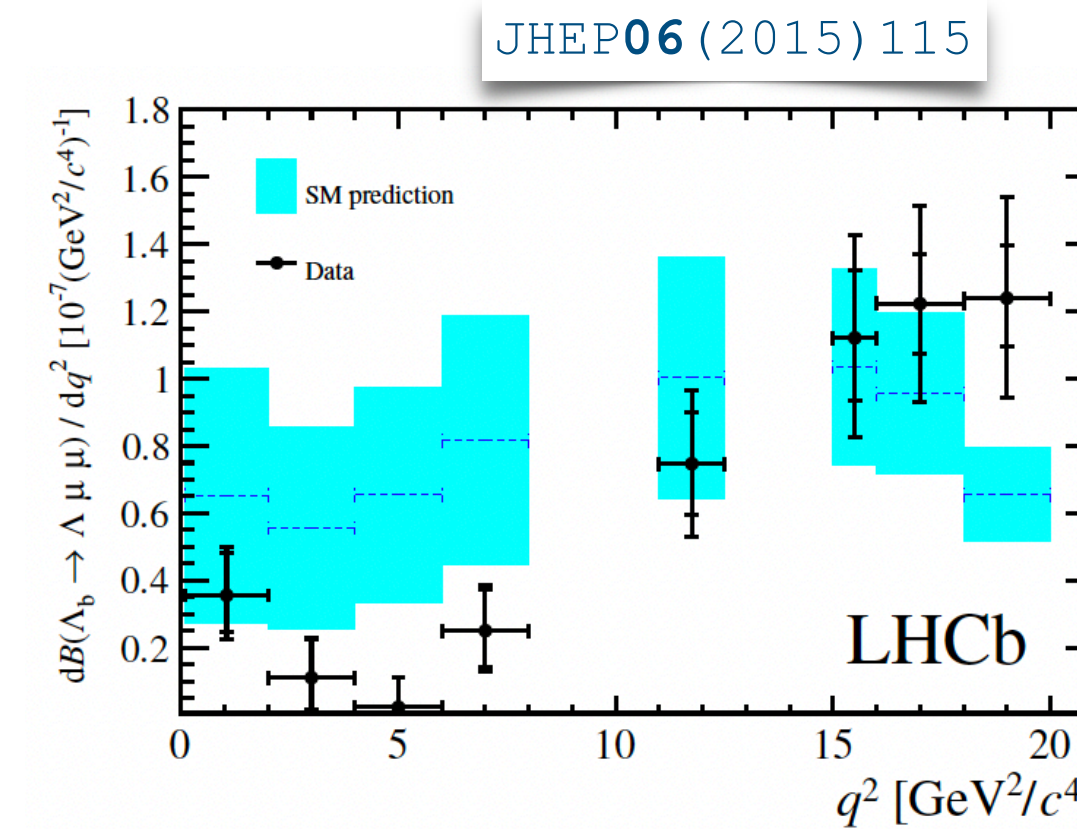
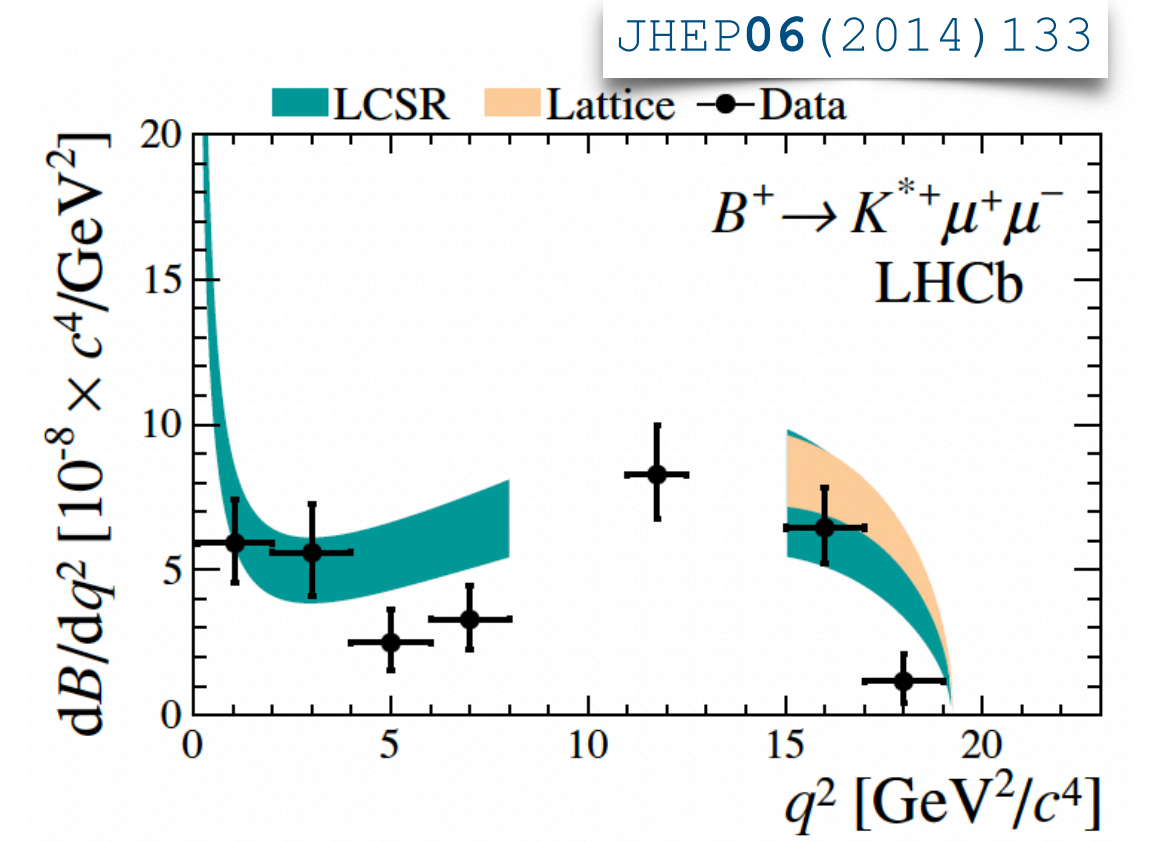
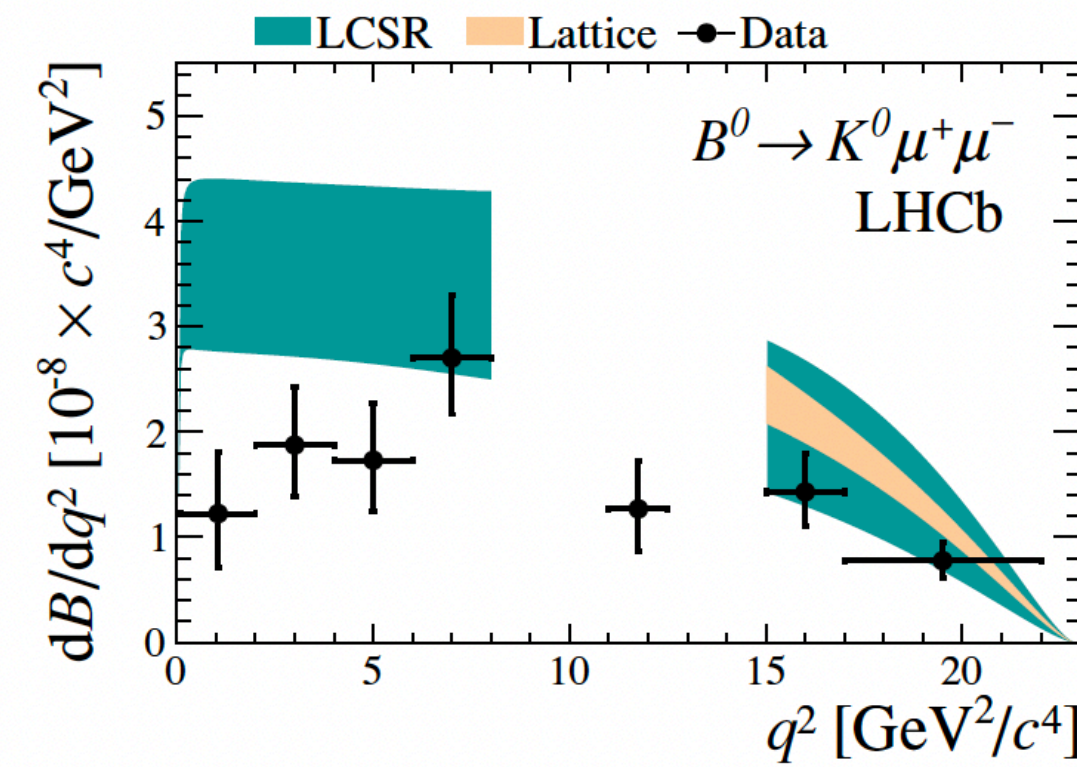
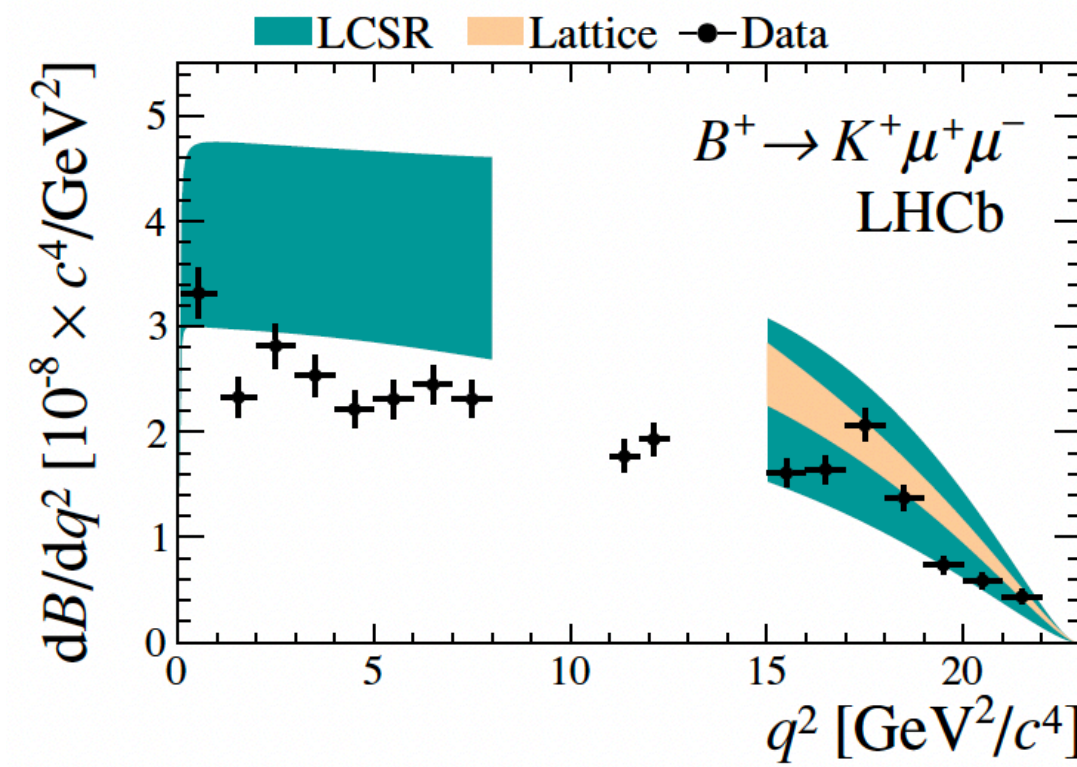
Differential Branching Fractions

☞ SM predictions. Large hadronic form factors uncertainties (20-30%).

◆ Data. LHCb results.



$$q^2 \equiv m^2(\mu^+\mu^-)$$



Tensions between experimental result and SM predictions.

$B_s^0 \rightarrow \mu^+ \mu^- \gamma$

$$B_s^0 \rightarrow \mu^+ \mu^- \gamma \text{ vs. } B_s^0 \rightarrow \mu^+ \mu^-$$

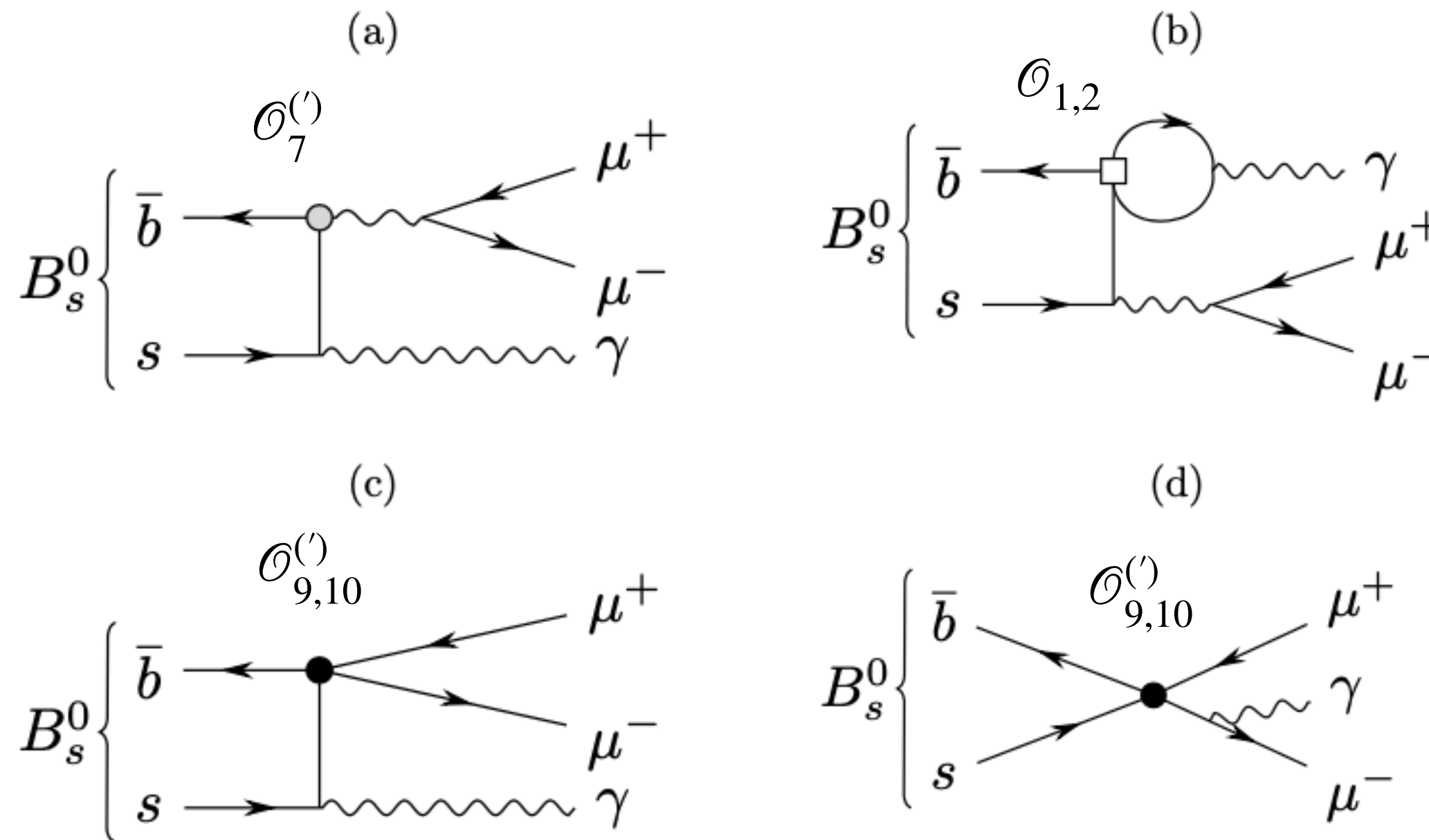
- + $B_s^0 \rightarrow \mu^+ \mu^- \gamma$ decay is sensitive to a larger set of Wilson coefficients ($\mathcal{C}_7, \mathcal{C}_9, \mathcal{C}_{10}$) than $B_s^0 \rightarrow \mu^+ \mu^-$ (\mathcal{C}_{10}).
 The photon lifts the helicity suppression making $\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^-) \sim \mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma)$.
- Larger theoretical uncertainties due to the form factors of the $B_s^0 \rightarrow \gamma$ transition.
 Worse mass resolution due to the photon reconstruction.

Phys.Rev.**D97**,053007(2018)

Physics Letters **B 521** (2001)

JHEP **12** (2021) 008

JHEP **11** (2017) 184

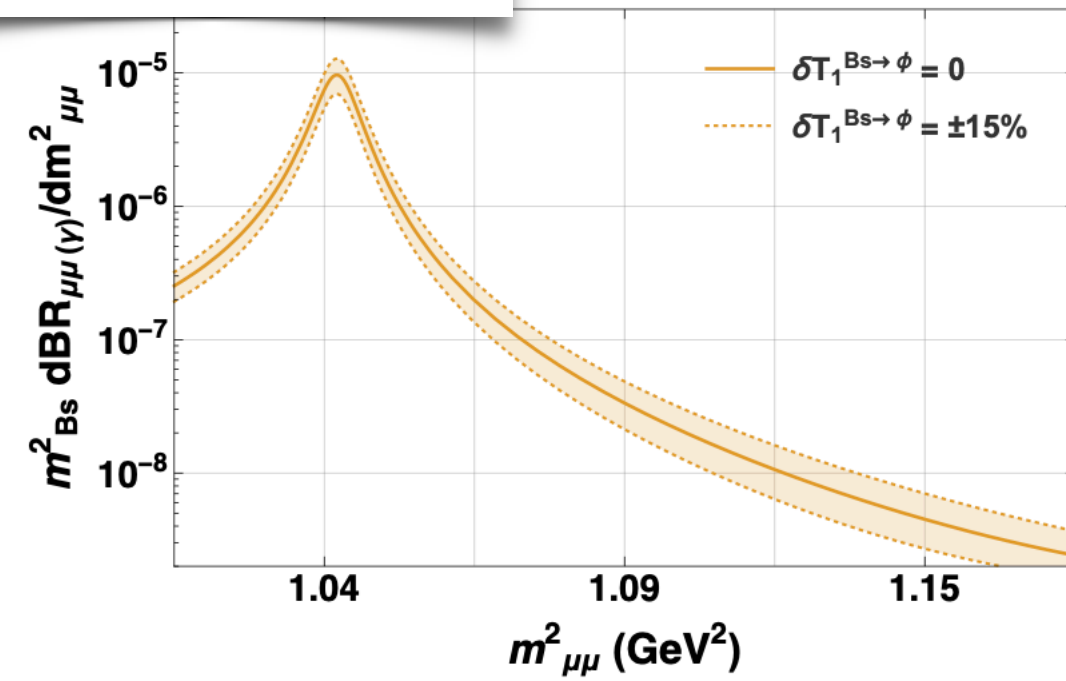


- Electromagnetic-dipole operators
- Four-fermion operators
- Any four-quark operator

$B_s^0 \rightarrow \mu^+ \mu^- \gamma$ theory predictions

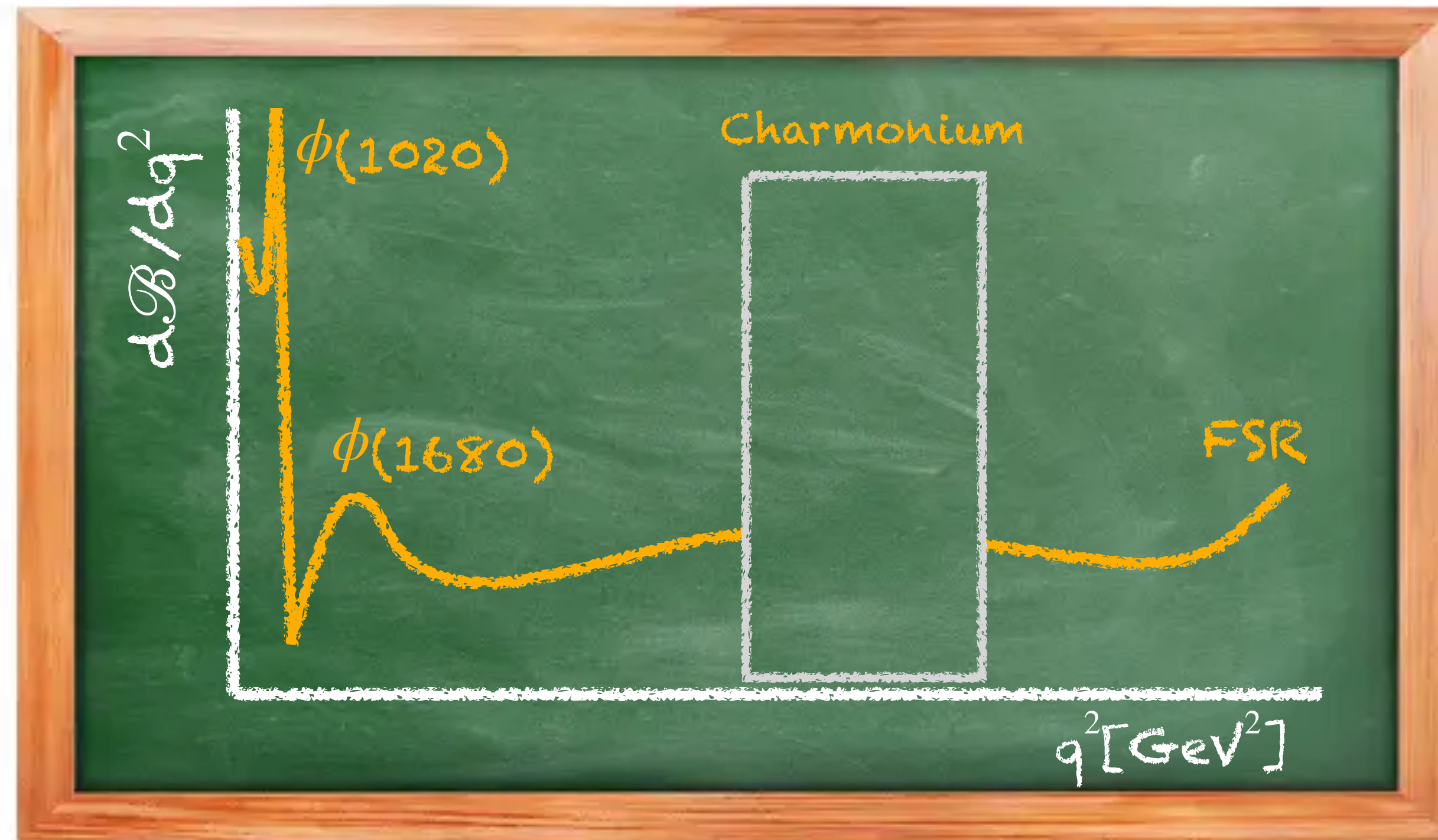
Low q^2 region

JHEP **11** (2017) 184



$$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma) = (8.4 \pm 1.3) \times 10^{-9}$$

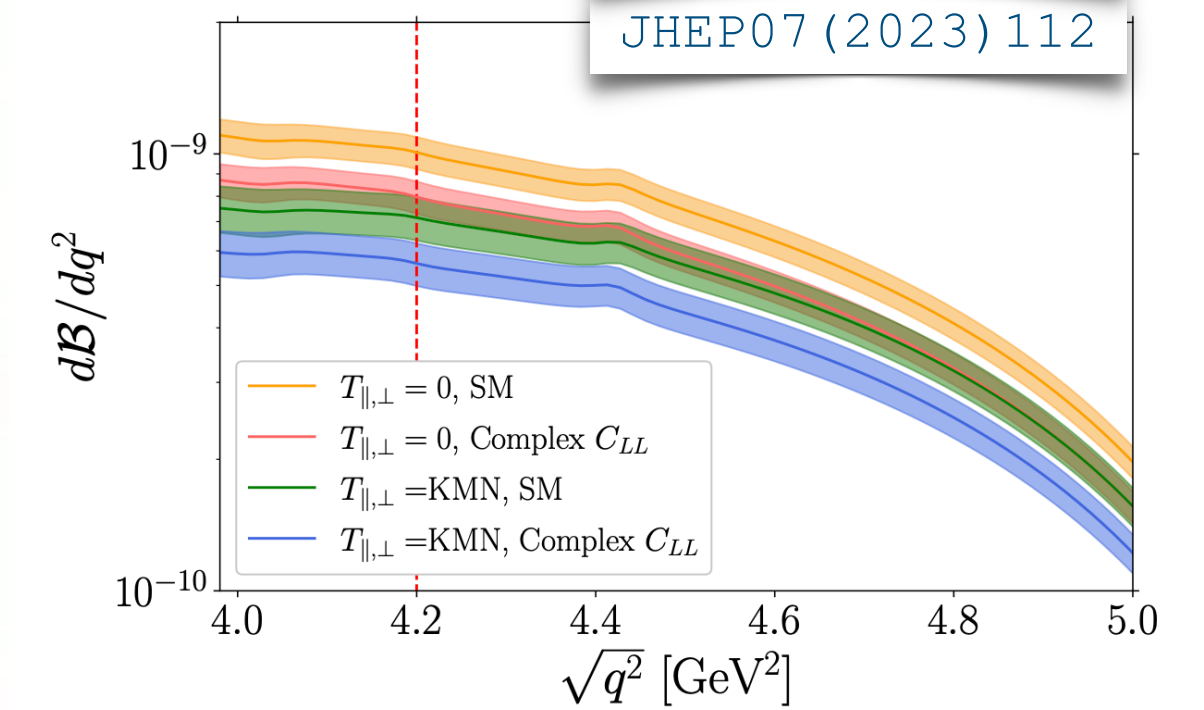
$$q^2 \in [0.04, 8.64] \text{ GeV}^2/c^4$$



High q^2 region

JHEP10 (2023) 102

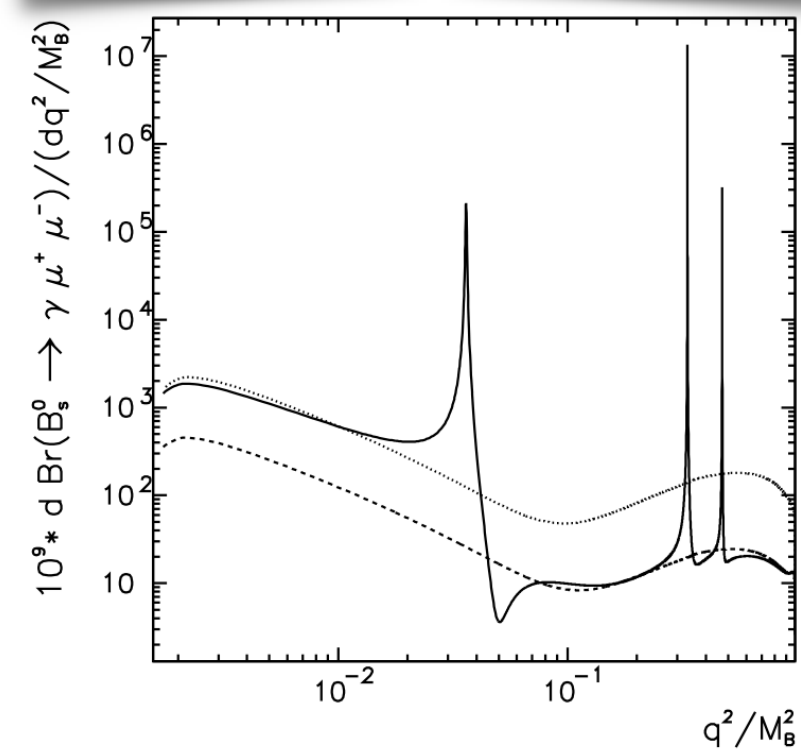
JHEP07 (2023) 112



$$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma) = (1.22 \pm 0.14) \times 10^{-10}$$

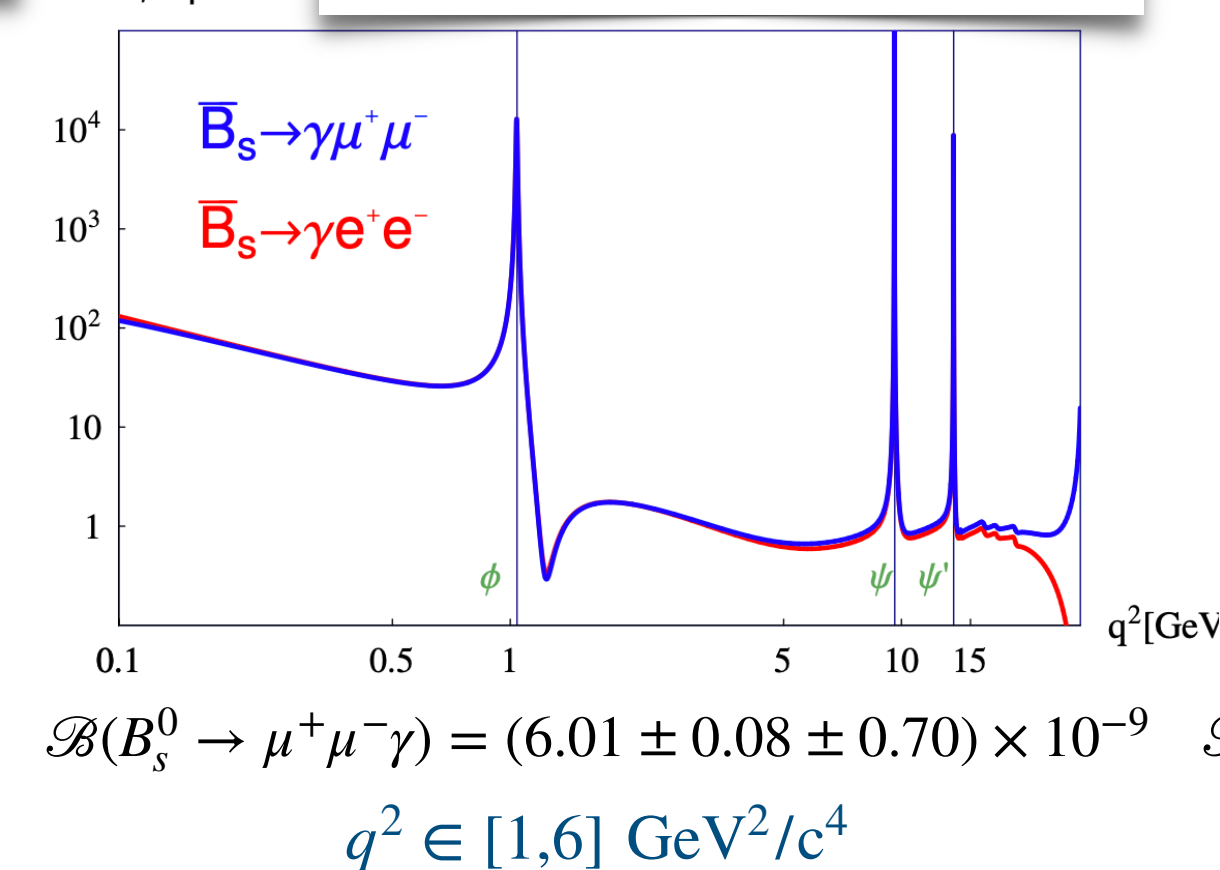
$$q^2 \in [17.64, 28.80] \text{ GeV}^2/c^4$$

Phys. Rev. **D70**, 114028 (2014)



$10^9 d\text{Br}/dq^2$

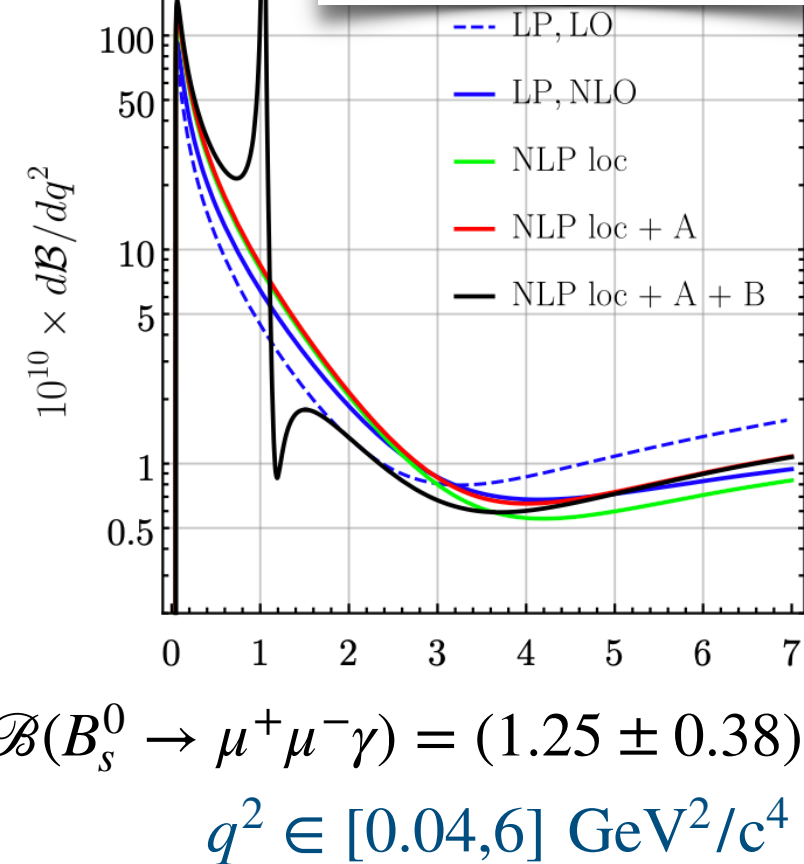
Phys. Rev. **D97**, 053007 (2018)



$$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma) = (6.01 \pm 0.08 \pm 0.70) \times 10^{-9}$$

$$q^2 \in [1, 6] \text{ GeV}^2/c^4$$

JHEP12 (2020) 148



$$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma) = (1.25 \pm 0.38) \times 10^{-8}$$

$$q^2 \in [0.04, 6] \text{ GeV}^2/c^4$$

Different theoretical approaches show different estimations of the $\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma)$.

A measurement of the $\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma)$ would test the SM. But an upper limit could also clarify the validity of the different theory approaches.

Methods

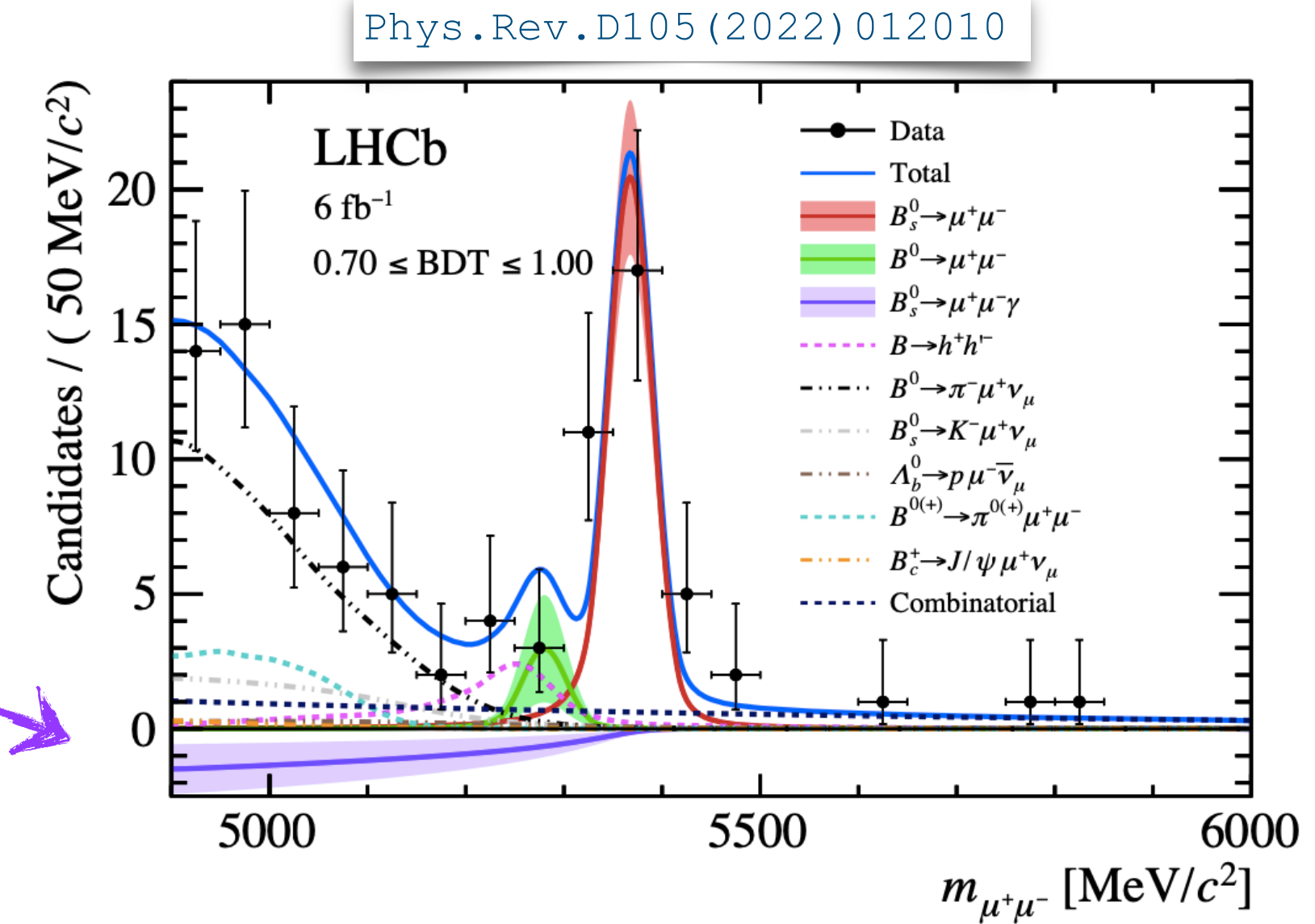
Two complementary methods

Indirect no photon reconstruction, probing this decay as a background of the $B_s^0 \rightarrow \mu^+ \mu^-$ process:

$$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma) < 2.0 \times 10^{-9} \text{ at 95\% C.L. for } m(\mu\mu) > 4.9 \text{ GeV}/c^2$$

See next presentation
by Camille Normand

Only sensitive to high q^2



Direct with photon reconstruction, presented today.

First time!

- + Sensitive to low- q^2 region, therefore, to larger set of Wilson coefficients (C_7, C_9, C_{10}).
- Photon reconstruction worsen the resolution.

Search by BABAR:
 $\mathcal{B}(B^0 \rightarrow \mu^+ \mu^- \gamma) < 1.6 \times 10^{-7}$
 Phys.Rev.D77 (2008) 011104

LHCb-PAPER-2023-045
 In preparation

Ménil Reboud
 CERN-THESIS-2020-303

And first study at low q^2 !

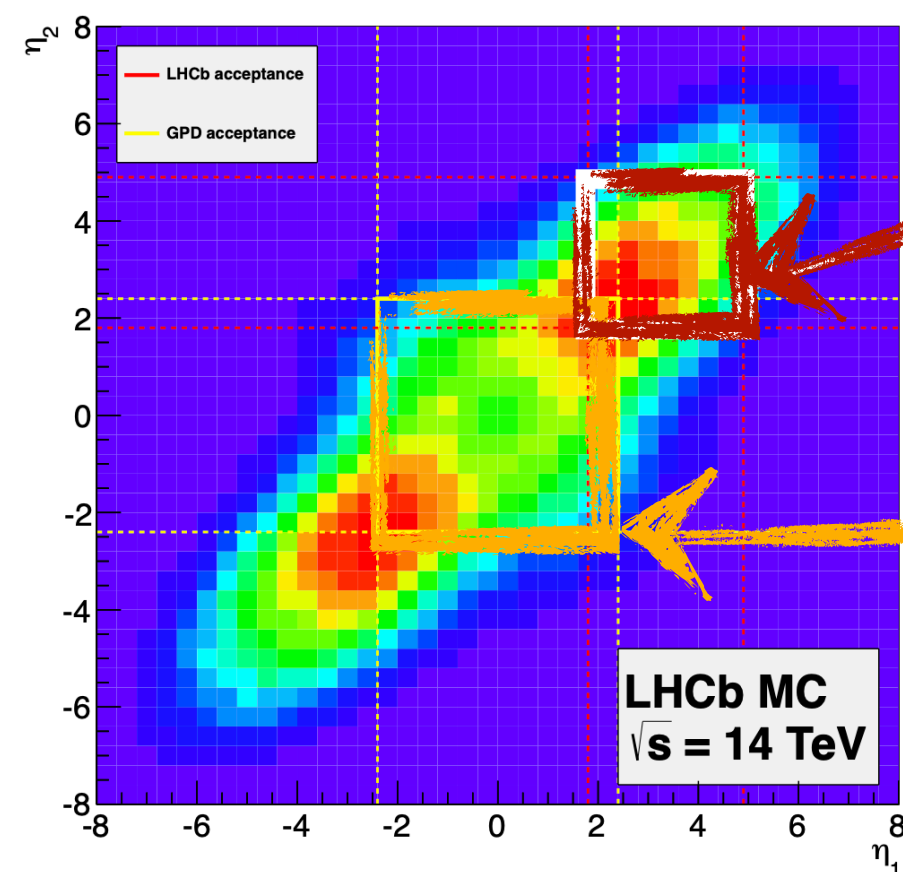
LHCb detector for b-hadron decays

Int. J. Mod. Phys. **A30**, 1530022 (2015)
CERN-LHCC-2003-030

- The LHC has a large cross section of b and c hadrons:

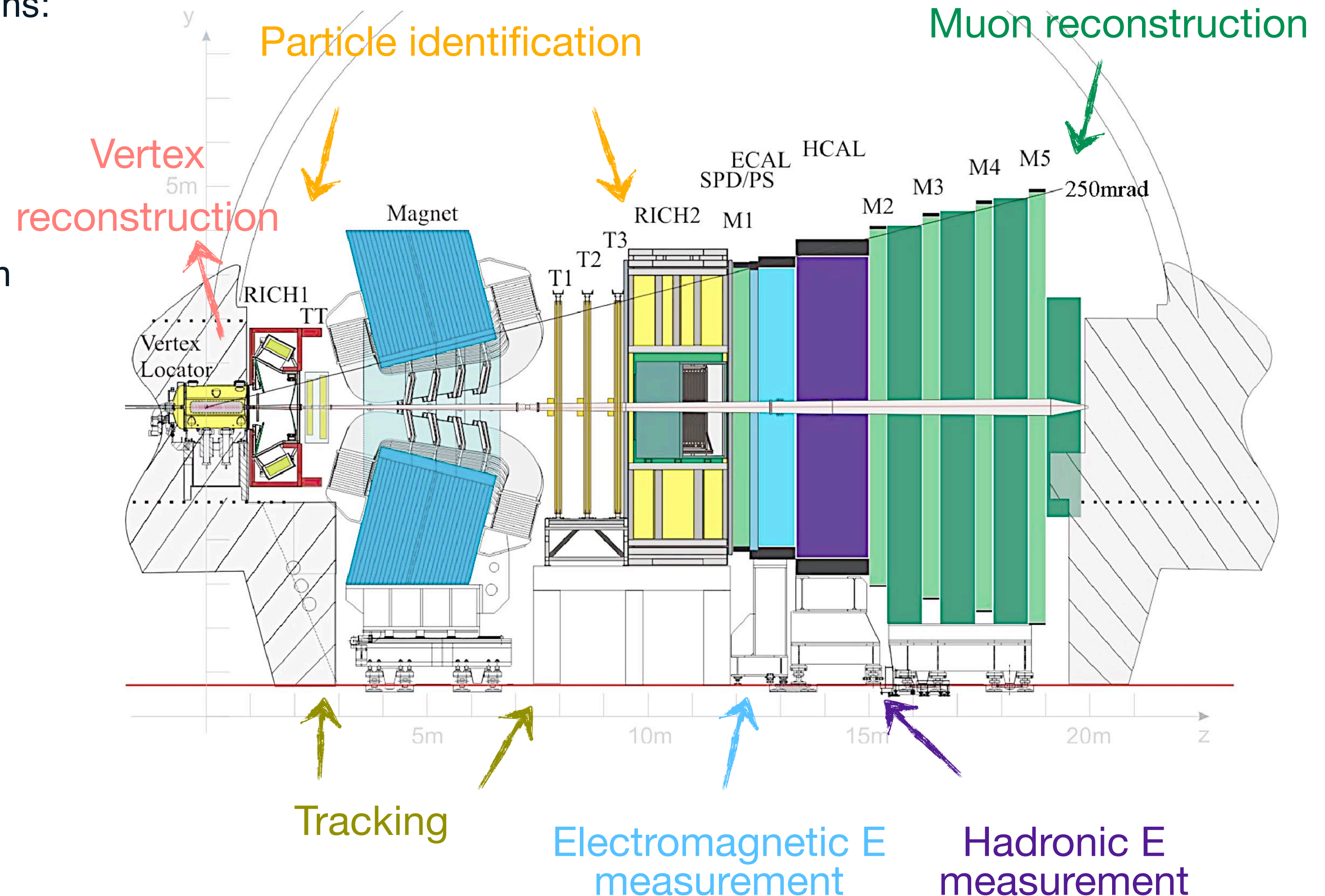
- $\sigma(b\bar{b})_{7\text{ TeV}} = 295\ \mu\text{b}$
 - $\sigma(b\bar{b})_{13\text{ TeV}} = 590\ \mu\text{b}$

- LHCb designed as forward spectrometer to focus on $b\bar{b}$ production:

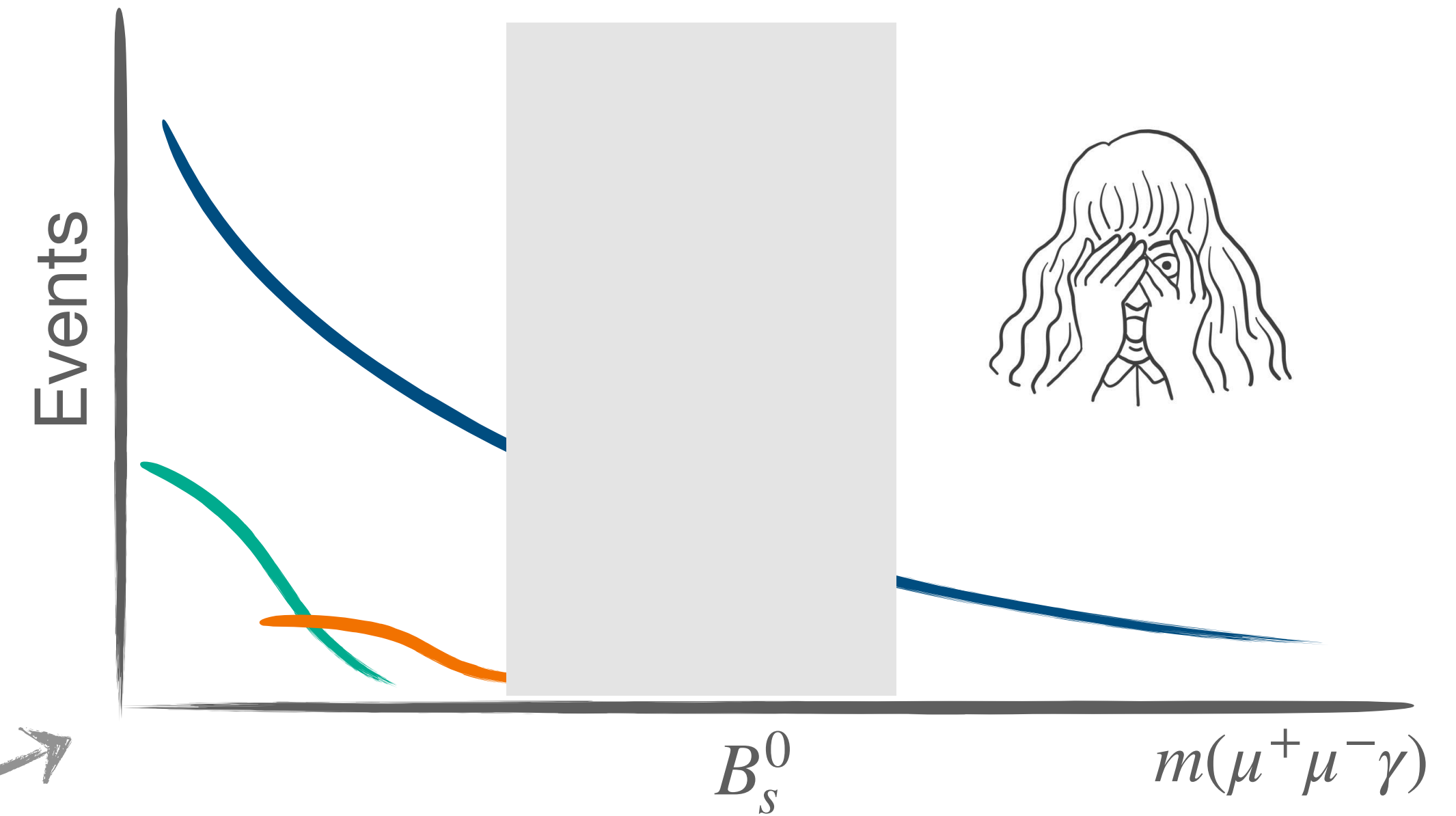


LHCb:
25% of $b\bar{b}$

CMS
ATLAS



- **Data:** proton-proton collisions recorded by LHCb during Run 2 (5.4 fb^{-1}).
- **Signal simulation:** as theory input the differential branching ratio computed in [D.Melikhov N.Nikitin \[Phys.Rev.D70 \(2004\) 114028\]](#). The implementation of this result is detailed in [N.Nikitin, A. Popov, D.V.Savrina \[LHCb-INT-2011-011\]](#). + PHOTOS ON for final state radiation.
- **Blind analysis:** to keep the analysis unbiased, the data on the signal mass region is not seen until the full strategy is defined.



If signal is found... measure $\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma)$ and compare with the SM predictions.

If no signal is seen... compute $\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma)$ upper limit using CLs method.

Strategy

Three q^2 regions:

Bin I: low- q^2 

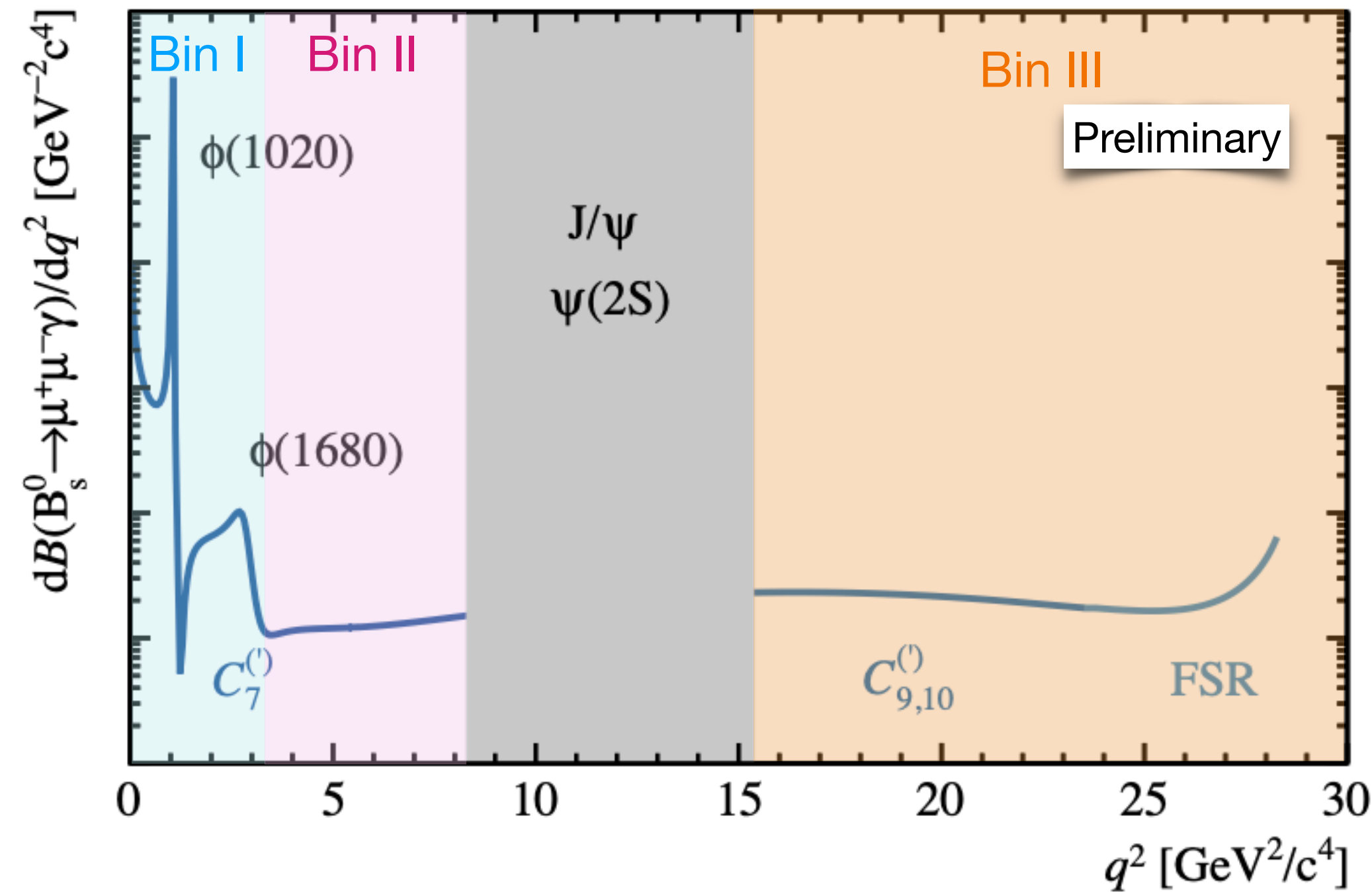
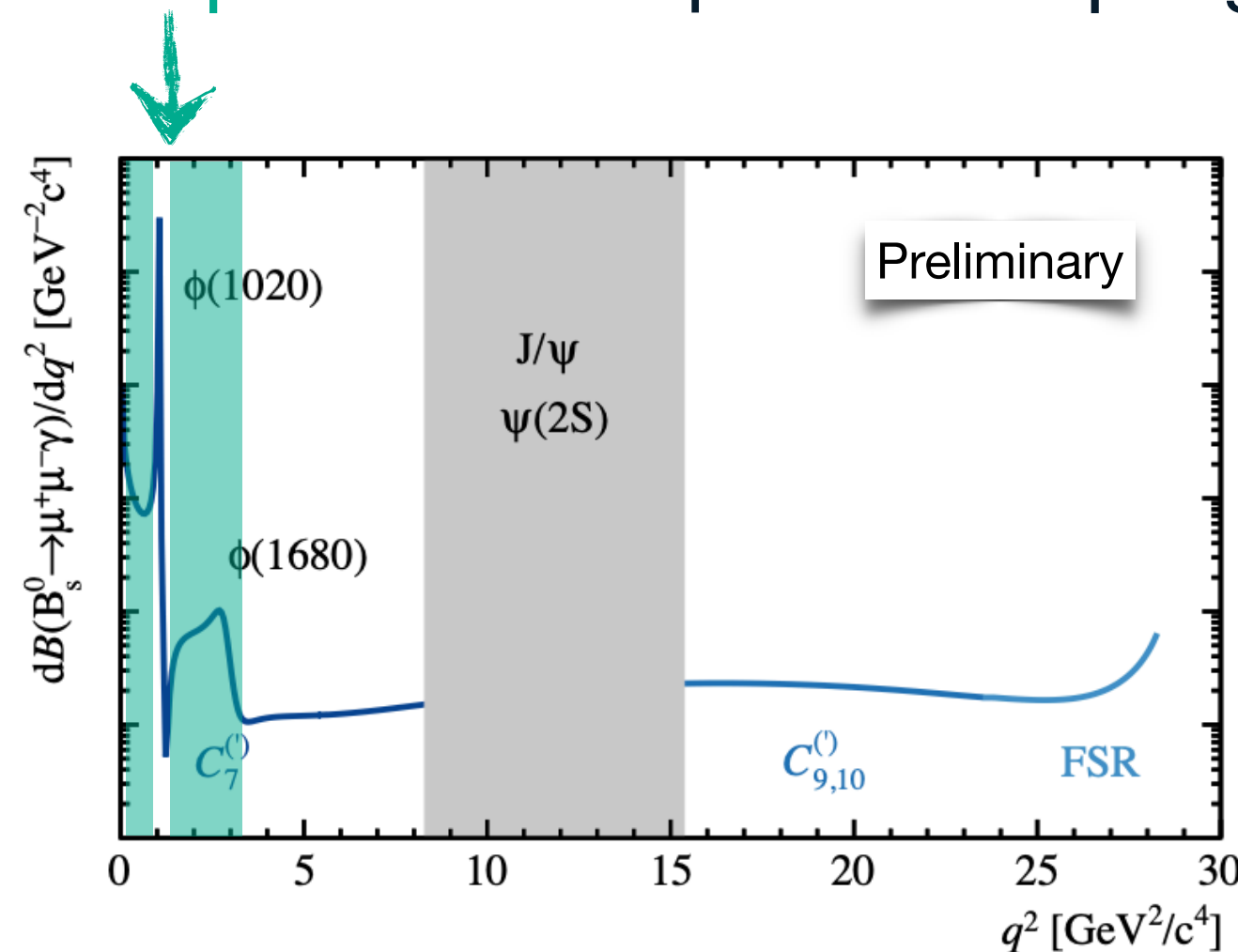
Bin II: middle- q^2 

Bin III: high- q^2 

Additionally, Bin I is also studied with a veto on the ϕ -resonance mass:

$$m(\mu^+\mu^-) = [989.6, 1073.4]\text{MeV}/c^2$$

Bin I ϕ -veto: low- q^2 without ϕ region



Phys.Rev. **D70** (2004) 114028

CERN-THESIS-2020-303

$$E_\gamma > 50\text{MeV}/c^2$$

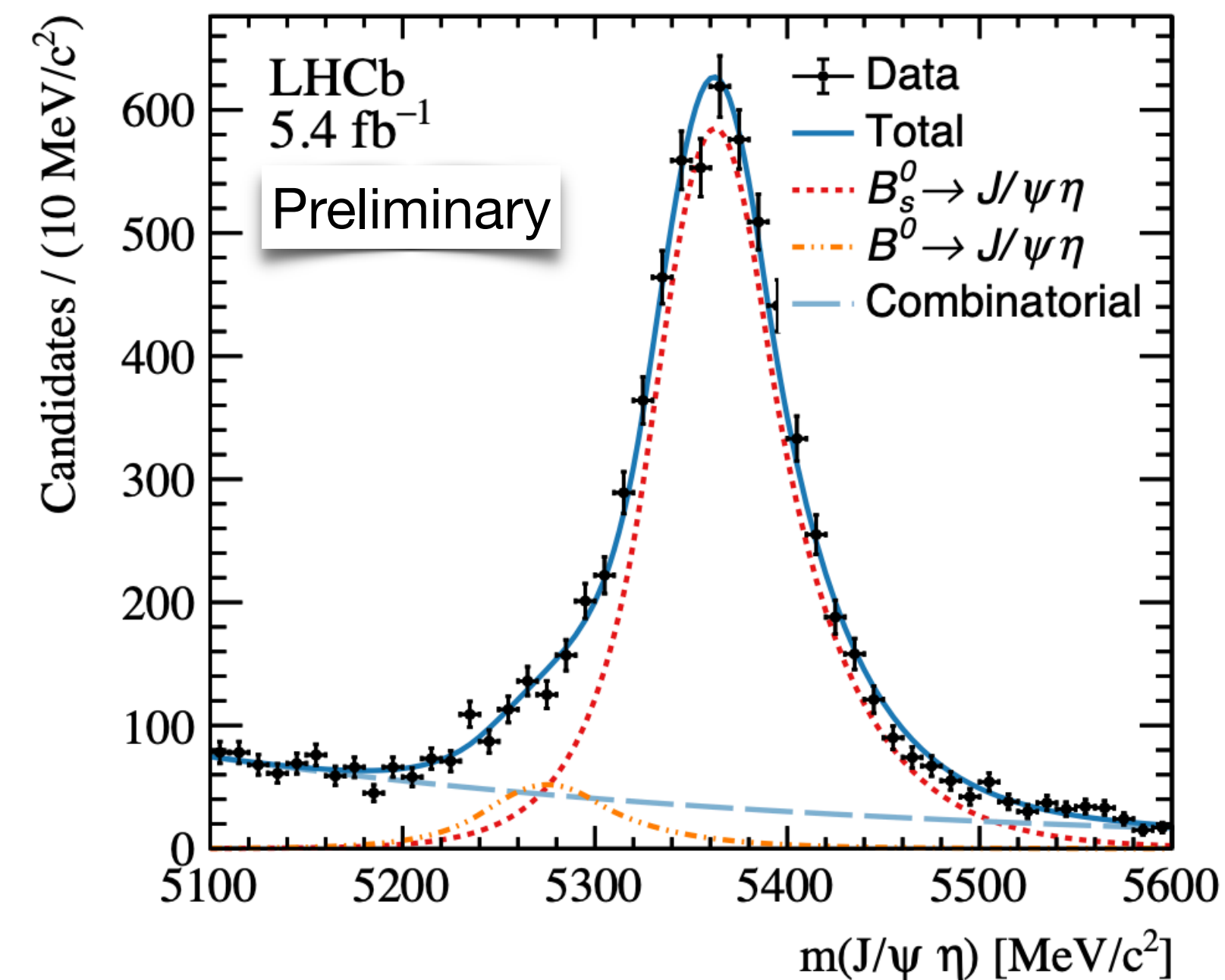
FSR = final state radiation

q^2 bin	I	II	III
q^2 [GeV^2/c^4]	$[4 m_\mu^2, 2.89]$	$[2.89, 8.29]$	$[15.37, m_{B_s^0}^2]$
$m(\mu^+\mu^-)$ [GeV/c^2]	$[2 m_\mu, 1.70]$	$[1.70, 2.88]$	$[3.92, m_{B_s^0}]$
$10^{10} \times \mathcal{B}(B_s^0 \rightarrow \mu^+\mu^-\gamma)$ [8]	82 ± 15	2.54 ± 0.34	9.1 ± 1.1
Fraction of $B_s^0 \rightarrow \mu^+\mu^-\gamma$	87%	2.7%	9.8%

Normalisation channel

- A well know decay channel
- High statistics
- Good selection efficiency
- Similar final state to the signal: allows uncertainties cancelations
- Chosen channel:

$$B_s^0 \rightarrow J/\Psi(\rightarrow \mu\mu) \eta(\rightarrow \gamma\gamma)$$



Signal branching fraction to be calculated as:

$$\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma) = \frac{\mathcal{B}_{\text{norm}}}{N_{\text{norm}}} \times \frac{\epsilon_{\text{norm}}}{\epsilon_{\text{sig}}} \times N_{\text{sig}}$$

Branching Fraction: from PDG $(9.3 \pm 1.6) \times 10^{-6}$

Efficiencies and its associated syst. uncertainty.

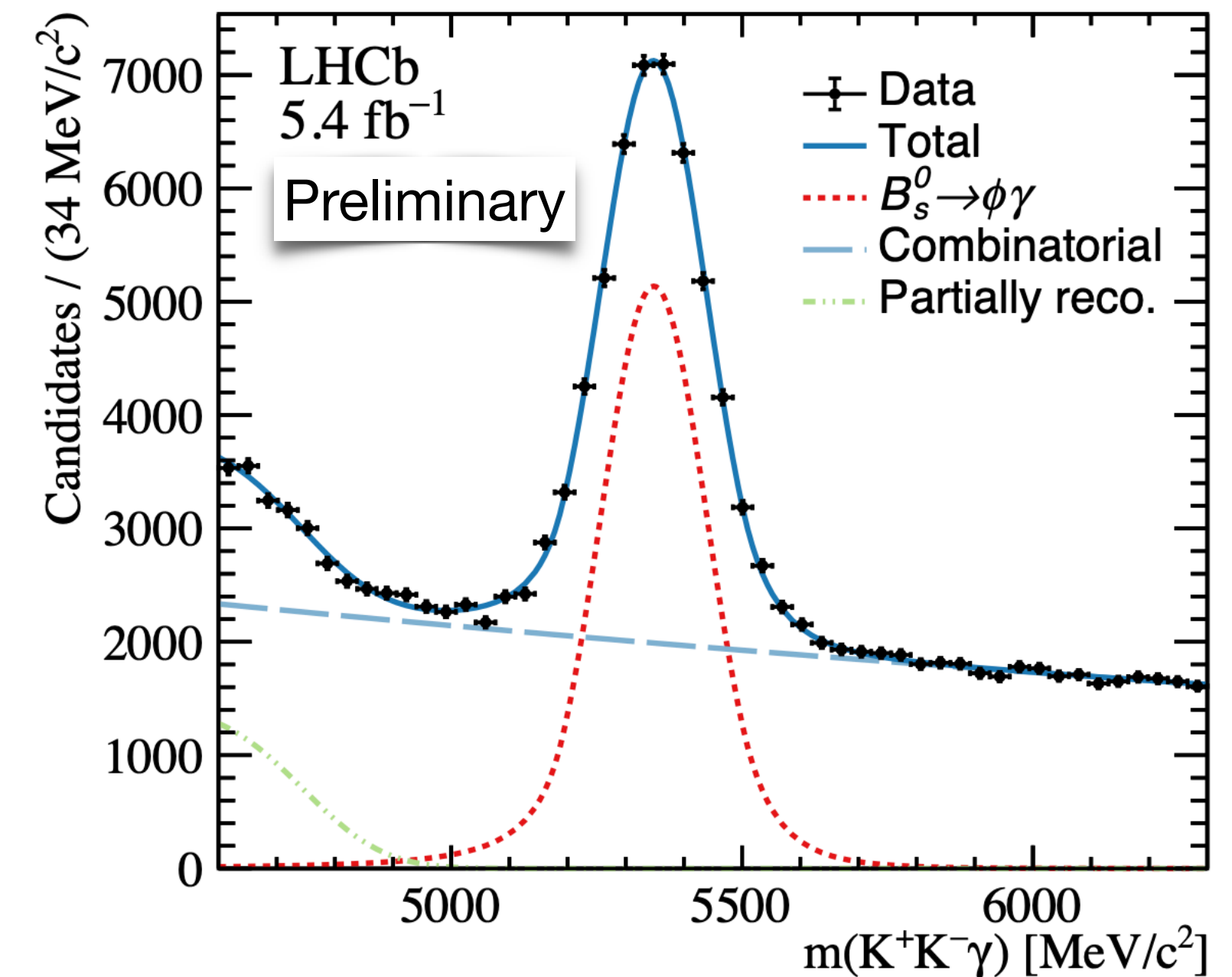
$$\epsilon = \epsilon_{\text{Acceptance}} \times \epsilon_{\text{Preselection}} \times \epsilon_{\mu\text{PID}} \times \epsilon_{\gamma\text{PID}} \times \epsilon_{\text{Trigger}} \times \epsilon_{\text{MLP}}$$

Normalisation yield: from data fit

Control channel

- To check the agreement between data and simulation.
- A well know decay channel.
- Good selection efficiency.
- Similar kinematics: three body decay and low- p_T photons.
- Chosen channel:

$$B_s^0 \rightarrow \Phi(\rightarrow K^+K^-) \gamma$$



After trigger and basic preselection, $p_T(\gamma) > 1000\text{MeV}/c^2$, candidates must pass a requirement in two MLP classifiers:

First MLP

Aim: reduce the combinatorial background using geometrical and kinematic variables.

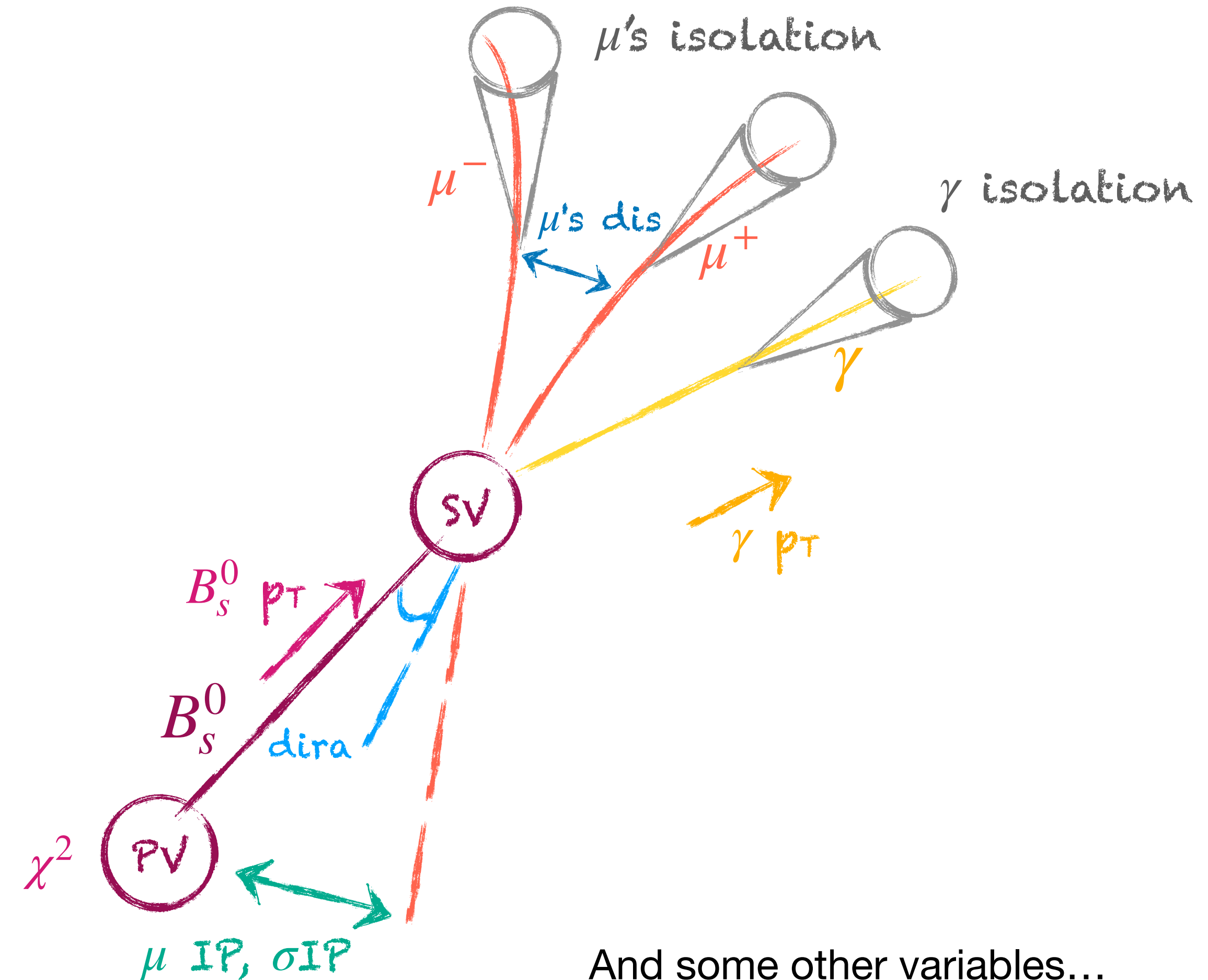
Trained in data mass side-bands and background, and signal simulation.

Second MLP

Aim: reduce other backgrounds, exploiting the fact that the signal objects are isolated.

Trained with samples after passing the first MLP.

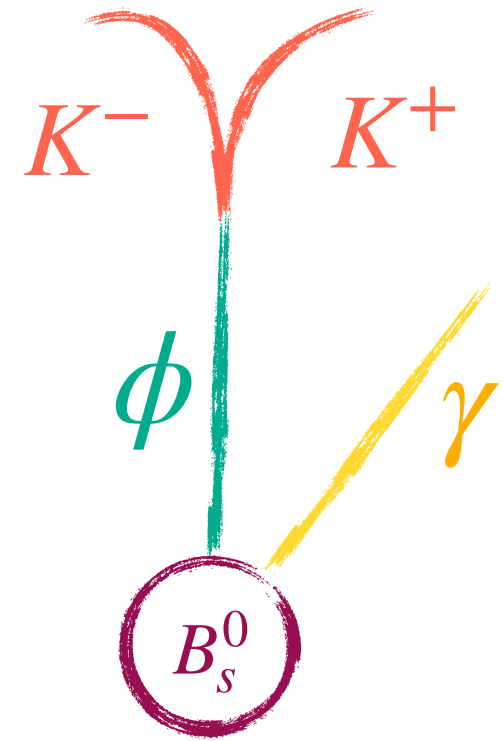
Optimised cut for each q^2 bin.



Background

Studied with simulation

Double misID



Double misidentification of kaons or pions as muons. Such as:

$$B_s^0 \rightarrow \phi (\rightarrow KK)\gamma$$

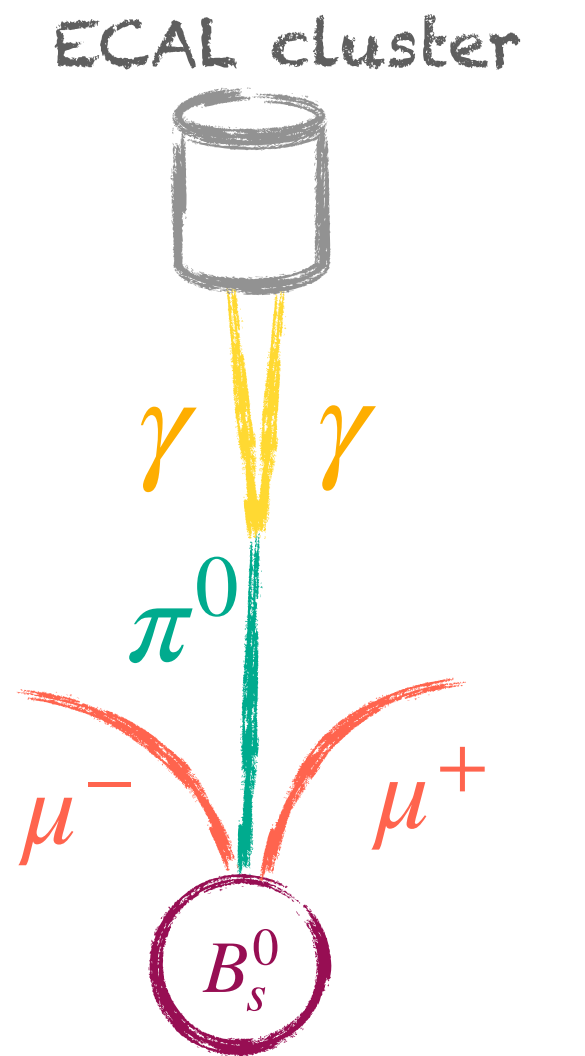
$$B^0 \rightarrow K^{*0} (\rightarrow \pi K)\gamma$$

Probability of $\sim 10^{-4}$ of double misID

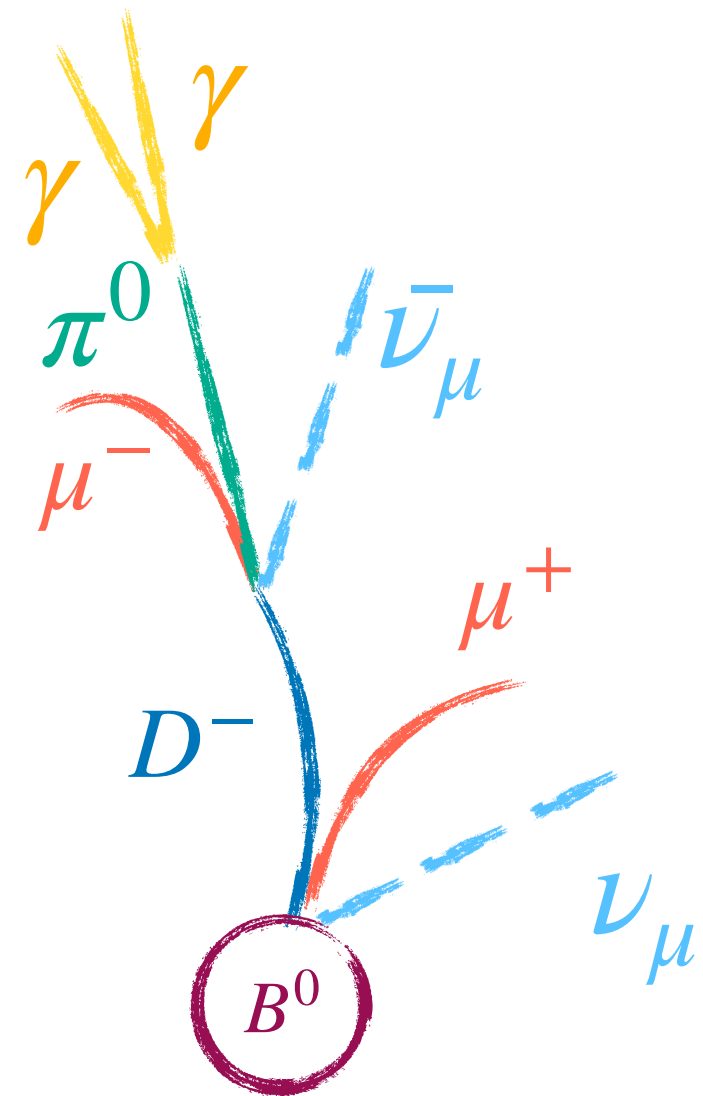
$$B^0 \rightarrow \mu\mu\pi^0$$

If one γ is not reconstructed or both γ 's are merge and reconstructed in one.

Low contribution but peaking very close to the signal.



Partially reconstructed



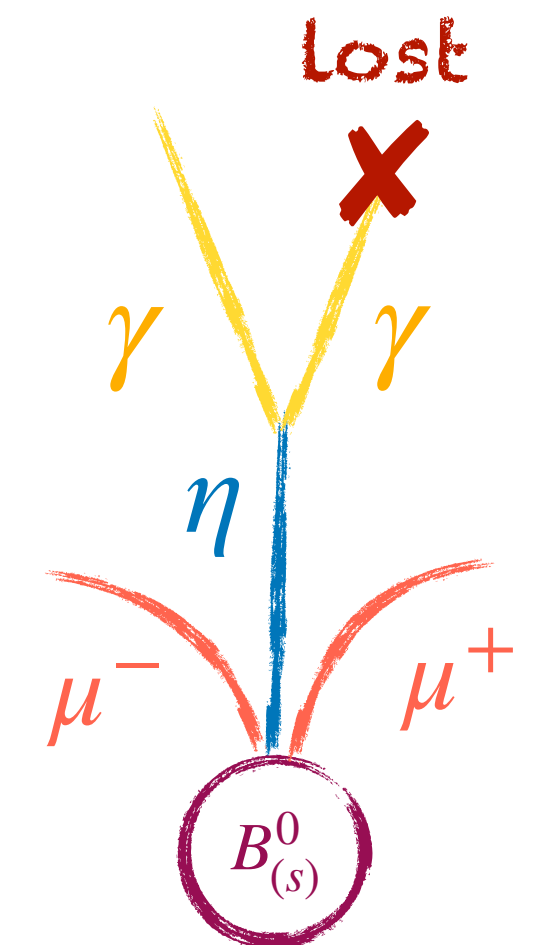
When one particle of the final state is not reconstructed (neutrinos, or by an inefficiency).

A broad peak outside the mass region is expected.

$$B_{(s)}^0 \rightarrow \mu\mu\eta$$

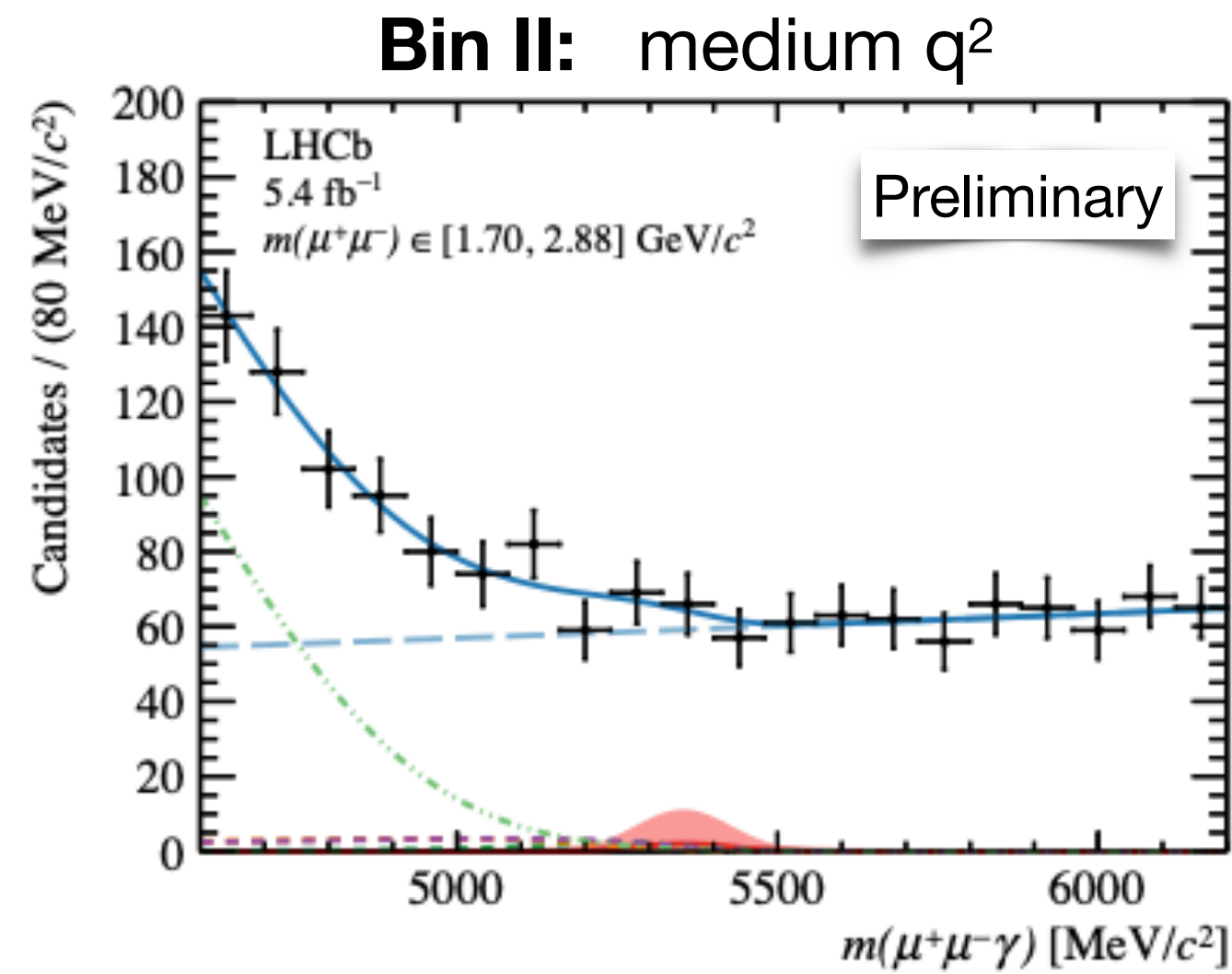
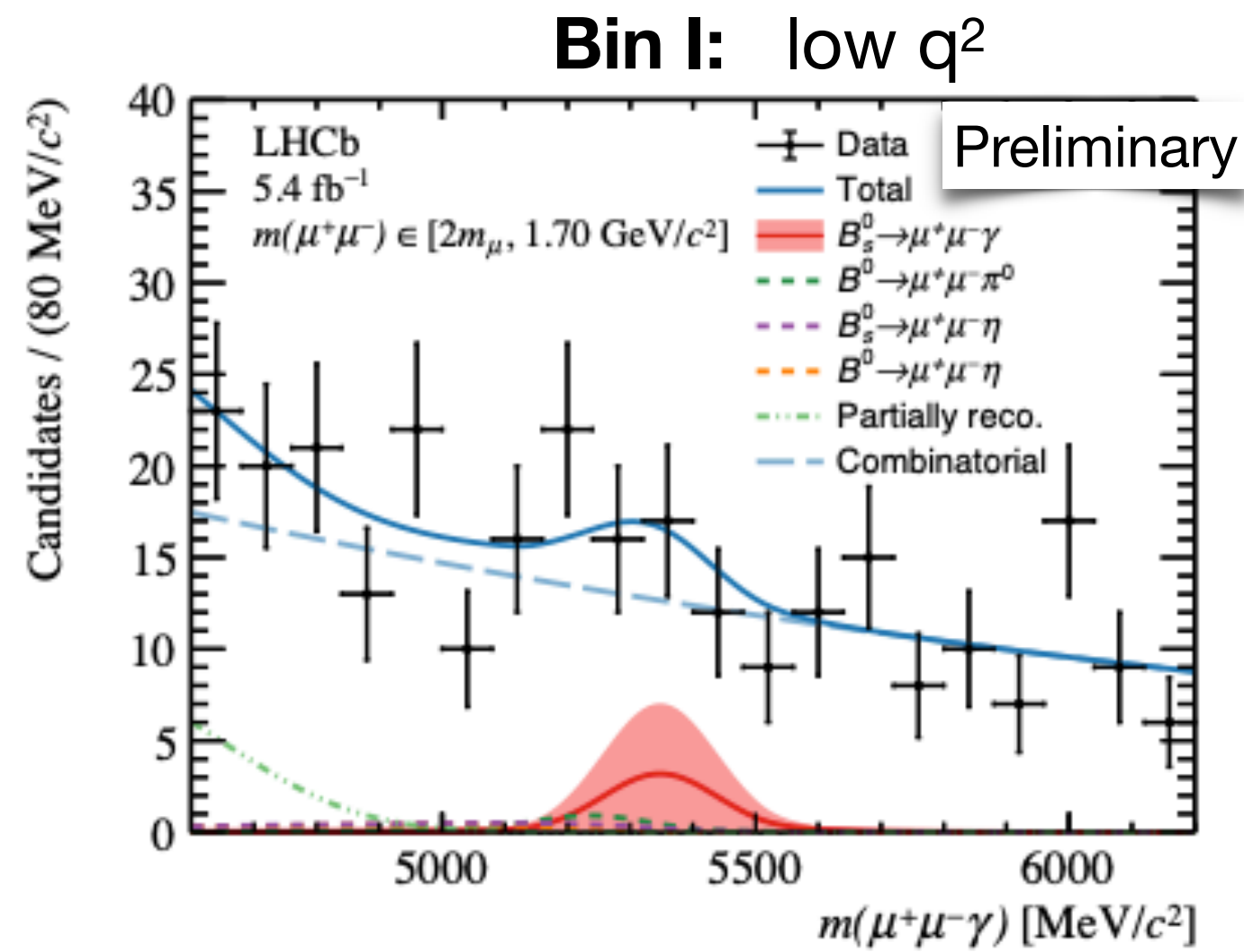
By same reasons than $B^0 \rightarrow \mu\mu\pi^0$.

Main peaking background in the signal region, but broader than $B^0 \rightarrow \mu\mu\pi^0$.

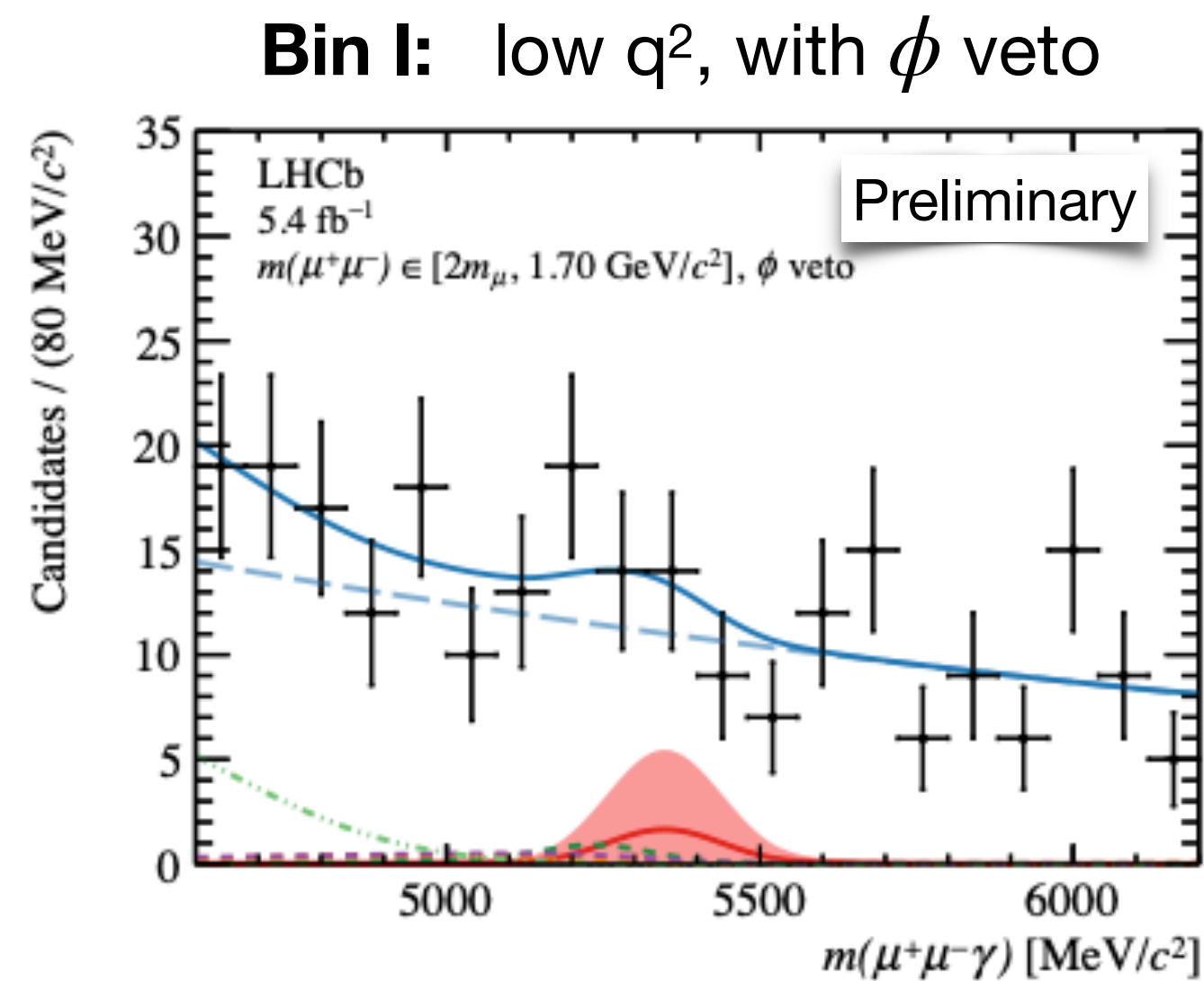
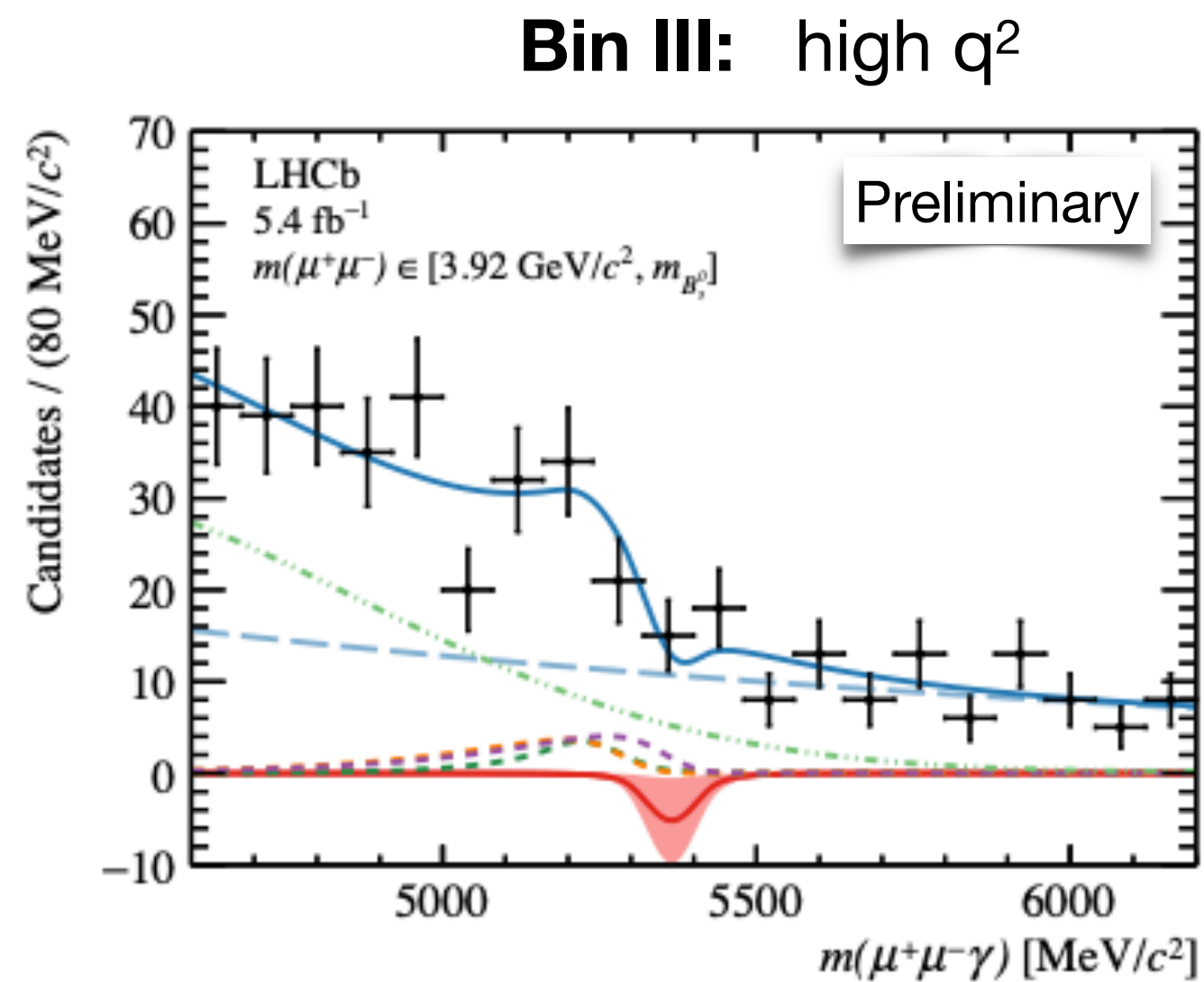


Other backgrounds were studied and estimated negligible: $B^0 \rightarrow \mu\mu\gamma$, $B^0 \rightarrow \pi^+\pi^-\pi^0$, $B^{*0} \rightarrow B^0\gamma$, $\Lambda_b \rightarrow pK\gamma$, etc.

Mass fit



The measured $\mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma)$ is not statistically significant in any of the q^2 regions.



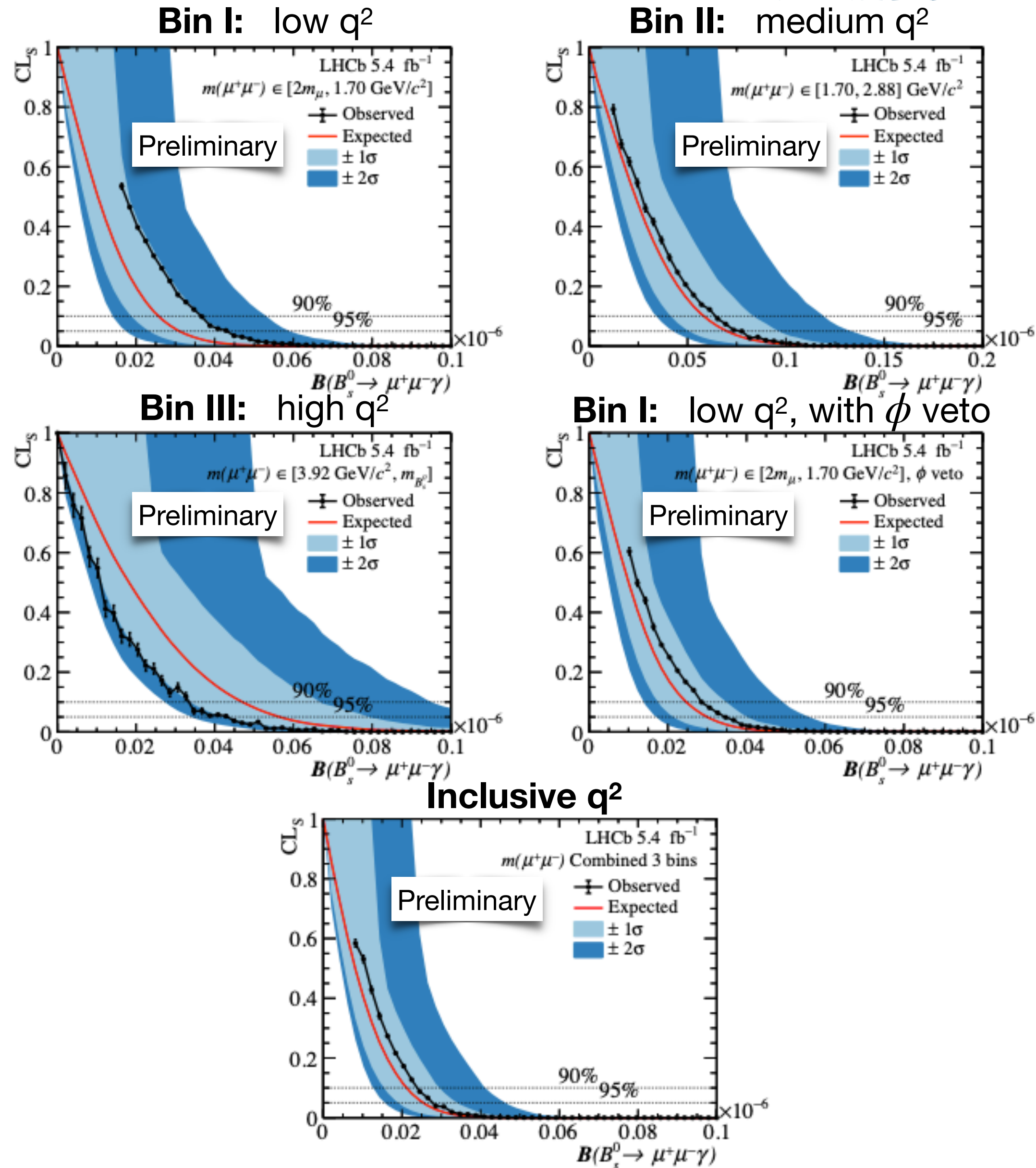
They are consistent with the background-only hypothesis at $< 1\sigma$ level.

$$\begin{aligned} \mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma)_I &= (1.34 \pm 1.60 \pm 0.28) \times 10^{-8}, \\ \mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma)_{II} &= (0.76 \pm 3.55 \pm 0.30) \times 10^{-8}, \\ \mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma)_{III} &= (-2.55 \pm 2.25 \pm 0.41) \times 10^{-8}, \\ \mathcal{B}(B_s^0 \rightarrow \mu^+ \mu^- \gamma)_{I, \phi \text{ veto}} &= (0.72 \pm 1.56 \pm 0.29) \times 10^{-8}. \end{aligned}$$

stat. \pm syst.

Dominated by statistical uncertainty.

Upper Limits



As no significant excess is observed, upper limits are set on $\mathcal{B}(B_s^0 \rightarrow \mu^+\mu^-\gamma)$ using the CL method.

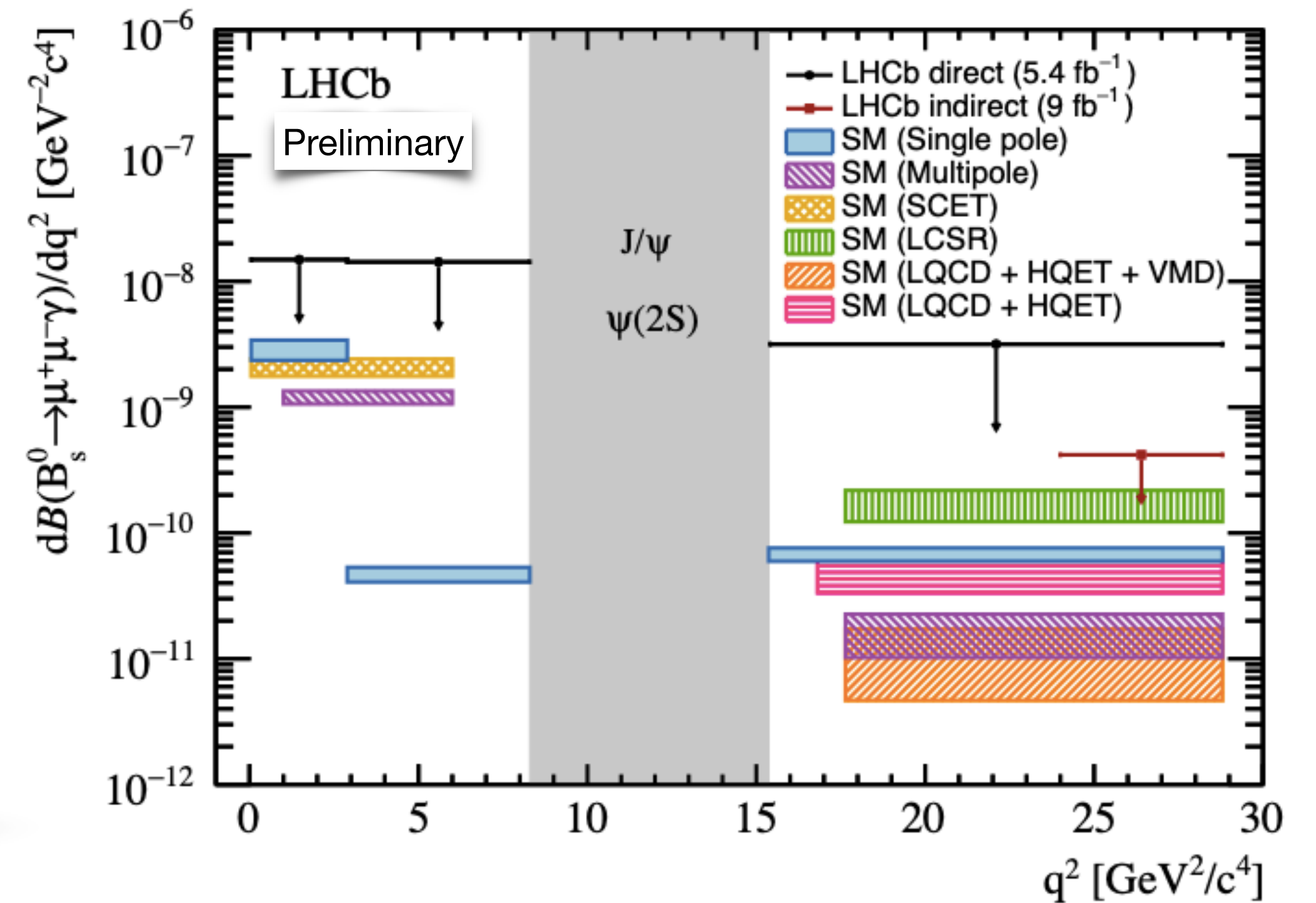
Upper limits on the branching fraction:

$$\begin{aligned} \mathcal{B}(B_s^0 \rightarrow \mu^+\mu^-\gamma)_I &< 3.6 (4.2) \times 10^{-8}, \\ \mathcal{B}(B_s^0 \rightarrow \mu^+\mu^-\gamma)_{II} &< 6.5 (7.7) \times 10^{-8}, \\ \mathcal{B}(B_s^0 \rightarrow \mu^+\mu^-\gamma)_{III} &< 3.4 (4.2) \times 10^{-8}, \\ \mathcal{B}(B_s^0 \rightarrow \mu^+\mu^-\gamma)_{I, \phi \text{ veto}} &< 2.9 (3.4) \times 10^{-8}, \\ \mathcal{B}(B_s^0 \rightarrow \mu^+\mu^-\gamma)_{\text{comb.}} &< 2.5 (2.8) \times 10^{-8}, \end{aligned}$$

at 90% (95%) CL.

Experimental upper limits in the theoretical context:

- Different approaches to $B_s^0 \rightarrow \gamma$ FF's calculation:
 - Different estimates of the \mathcal{B} .
- Experimental results are dominated by stat. uncertainties:
 - Run 3 data might be sensitive to different models.
- Indirect method reaches lower ULs.
 - Direct method is sensitive to the full q^2 spectrum.



- Direct search $B_s^0 \rightarrow \mu^+ \mu^- \gamma$, these results, at 95% CL. [LHCb-PAPER-2023-045 in preparation]
- Indirect search from $B_s^0 \rightarrow \mu^+ \mu^-$ decay at LHCb, limit at 95% CL [Phys.Rev.D105(2022)1]
- Single-pole parametrisation [JHEP11(2017)184]
- Multipole parametrisation [Phys.Rev.D97(2018)053007]
- Soft-collinear effective theory [JHEP148(2020)12]
- Light-cone sum rules [JHEP8(2021)12]
- Lattice QCD with heavy quark effective theory, assuming vector meson dominance [JHEP10(2023)102, JHEP7(2023)112]
- Lattice QCD with heavy quark effective theory extrapolation [arXiv:2402.03262]

Conclusions

The **first direct**, and **first low q^2 search**, of the $B_s^0 \rightarrow \mu^+ \mu^- \gamma$ decay:
using Run 2 data recorded by the LHCb detector.

LHCb-PAPER-2023-045
In preparation

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Thank you!