

β -delayed neutron spectroscopy opportunities with MONSTER

Alberto Pérez de Rada Fiol

D. Cano-Ott, T. Martínez, V. Alcayne, E. Mendoza, J. Plaza, A. Sanchez-
Caballero, D. Villamarín

MONSTER Collaboration



GOBIERNO
DE ESPAÑA

MINISTERIO
DE CIENCIA, INNOVACIÓN
Y UNIVERSIDADES

Ciemat
Centro de Investigaciones
Energéticas, Medioambientales
y Tecnológicas

Index

- Introduction
- Methodology
- $^{85,86}\text{As}$ β -decays @ IGISOL
- Summary and conclusions

Index

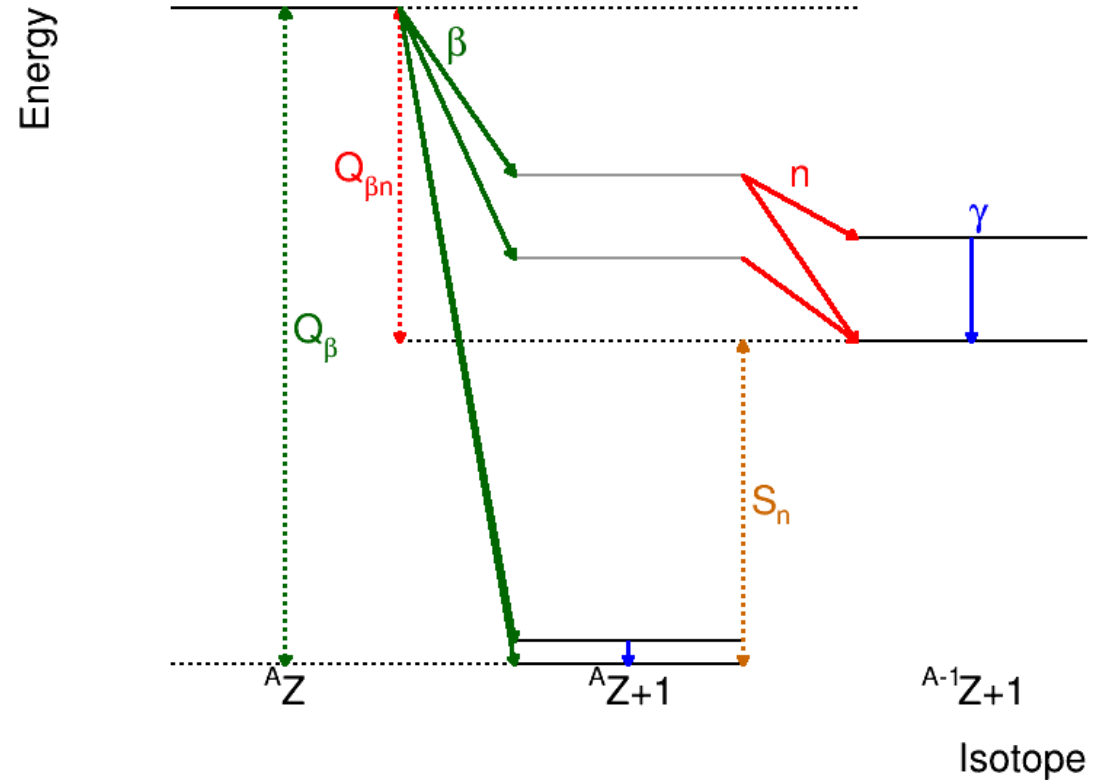
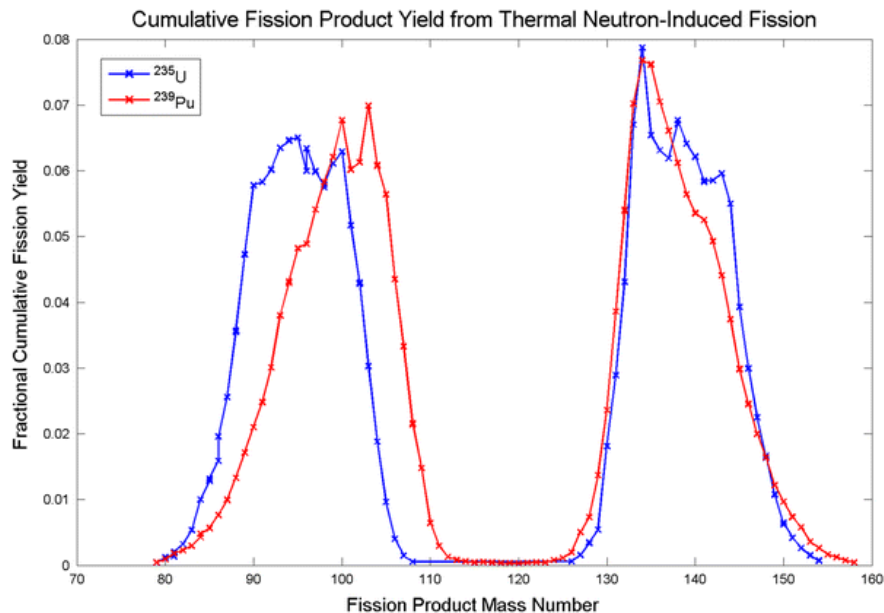
- Introduction
- Methodology
- $^{85,86}\text{As}$ β -decays @ IGISOL
- Summary and conclusions

β -delayed neutron emission

β -delayed neutron emission occurs in the neutron-rich side of the chart of nuclides

β -delayed neutrons are interesting for:

- Nuclear structure
- Nuclear astrophysics
- Fission reactor kinetics and control

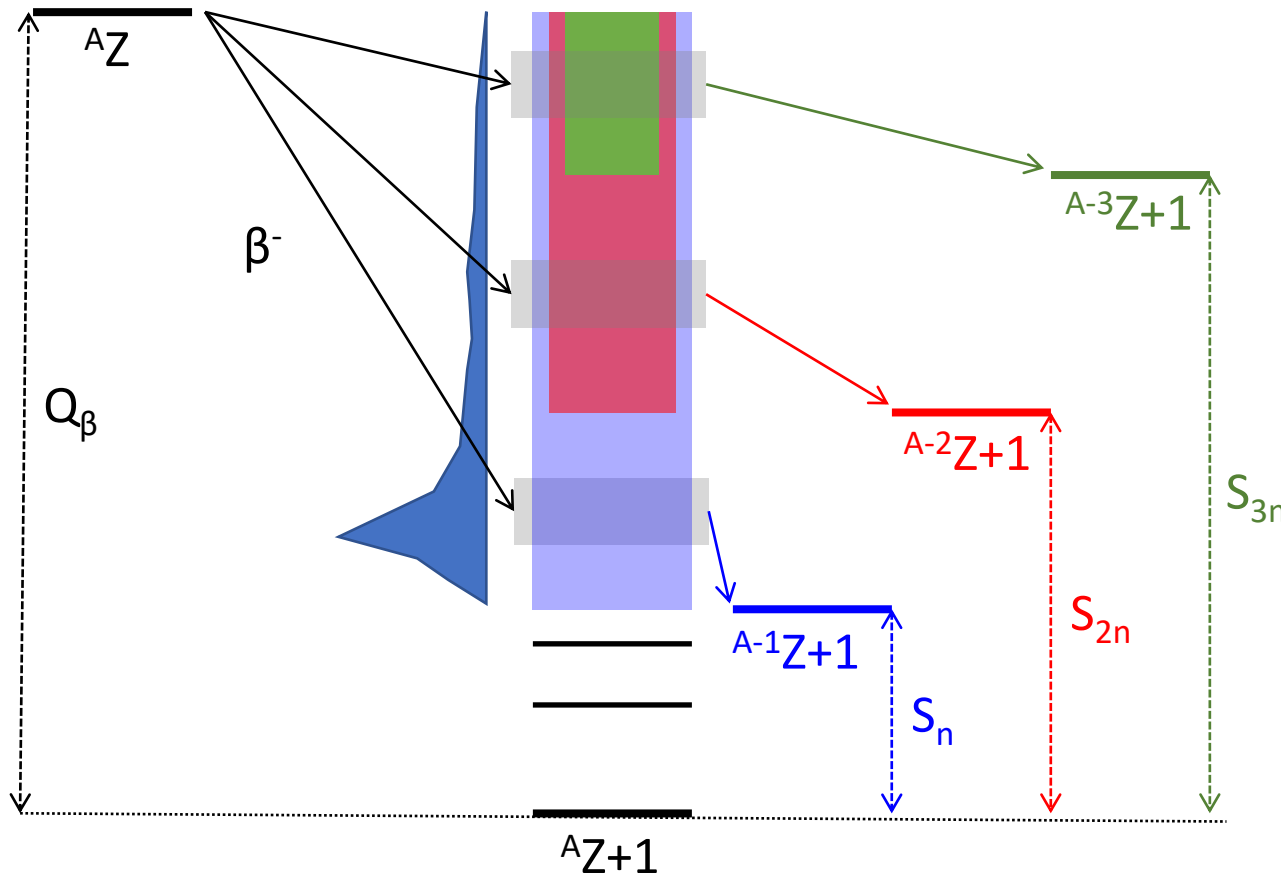


Priority list for reactor studies:

^{86}Ge , $^{85,86}\text{As}$, ^{91}Br , ^{93}Rb , $^{98m,98}\text{Y}$, ^{135}Sb , ^{139}I , ^{88}As , ^{96}Rb ,
 $^{105,106}\text{Nb}$, ^{137}Sb , ^{136}Te , ^{140}I , $^{143,144}\text{Cs}$

I. Dillmann *et al.*, INDC(NDS)-0643, (2014)

Nuclear structure



For $S_n < E < Q_\beta$ typically $\Gamma_n(E) \gg \Gamma_\gamma(E)$

Far enough from stability $S_{xn} < Q_\beta$ leads to multiple neutron emission

β -strength function:

$$S_\beta(E) = \frac{1}{D} \sum_{J^\pi} |M_{fi}|^2 \rho(E, J^\pi)$$

$$S_\beta(E) = \frac{I_\beta(E)}{f(Z+1, Q_\beta - E) T_{1/2}}$$

β -decay properties:

$$P_n = \frac{\int_{S_n}^{Q_\beta} S_\beta(E) f(Z+1, Q_\beta - E) \left\langle \frac{\Gamma_n(E)}{\Gamma_{tot}(E)} \right\rangle dE}{\int_0^{Q_\beta} S_\beta(E) f(Z+1, Q_\beta - E) dE}$$

$$S(E_n) = \int_{S_n}^{Q_\beta} \left\langle \frac{\Gamma_n(E, E_n)}{\Gamma_n(E)} \right\rangle I_{\beta n}(E) dE$$

E. Valencia et al., Phys. Rev. C, **95**, (2017) 024320

The β -delayed neutron emission spectrum gives information about nuclear structure and complements reaction data

M^{ON}STER

MOdular **N**eutron time-of-flight **S**pectrom**ETER** is a detection system designed for DESPEC

MONSTER TDR, (2013)

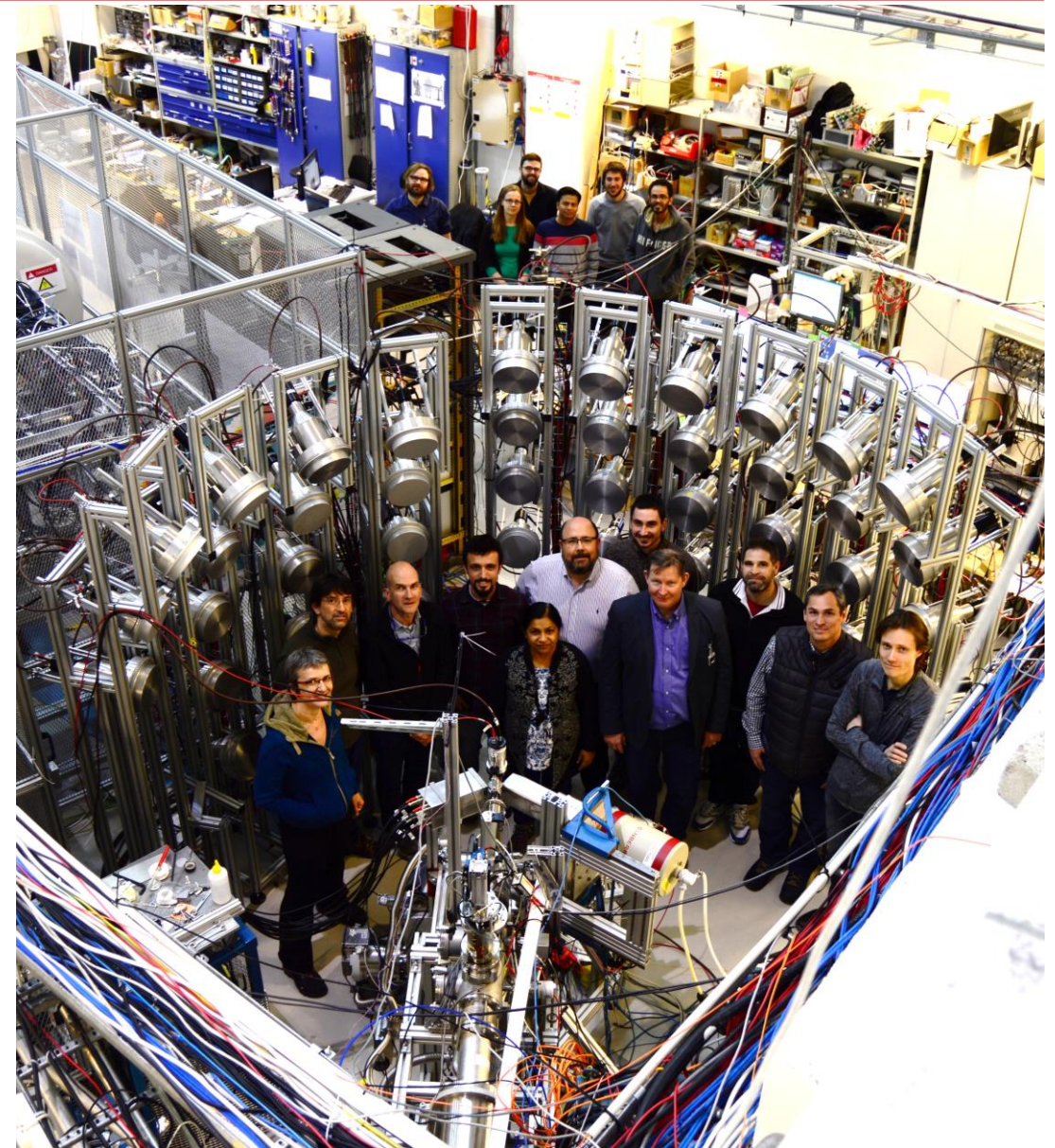
It's the result of an international collaboration between CIEMAT, JYFL-ACCLAB, VECC, IFIC, and UPC

Main characteristics:

- Low neutron energy threshold
- High intrinsic neutron detection efficiency
- Discriminates between detected neutrons and γ -rays by their pulse shape
- Good time resolution
- The energy of the neutrons is determined with the TOF technique

A. R. Garcia *et al.*, JINST, **7**, (2012) C05012

T. Martinez *et al.*, Nuclear Data Sheets, **120**, (2014) 78



Digital data Acquisition System

Custom DAQ software developed at CIEMAT

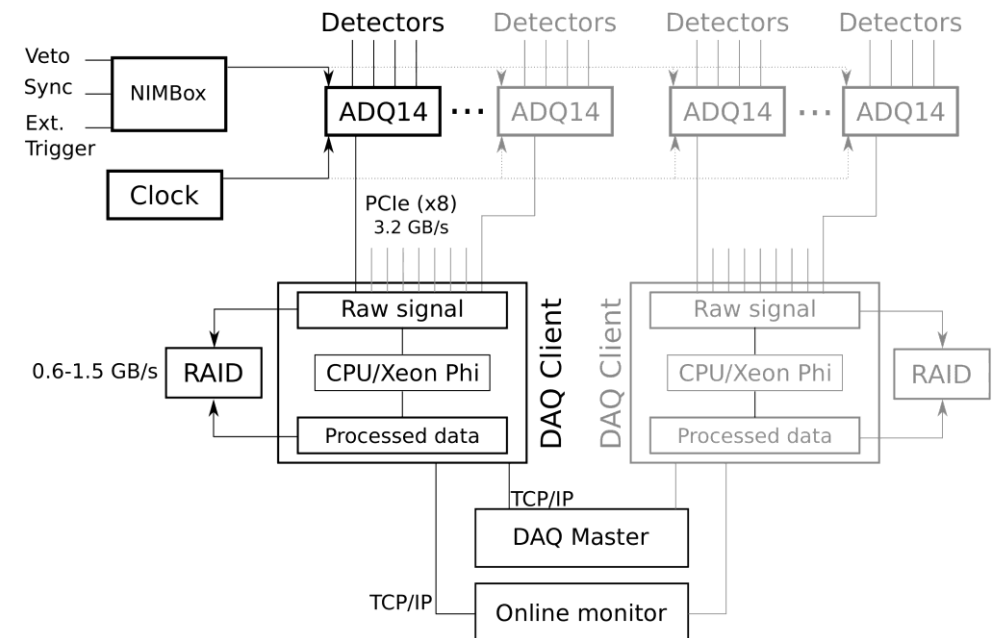
D. Vilamarín, Nucl. Instrum. and Methods A, **1055**, (2023) 168526

Hardware:

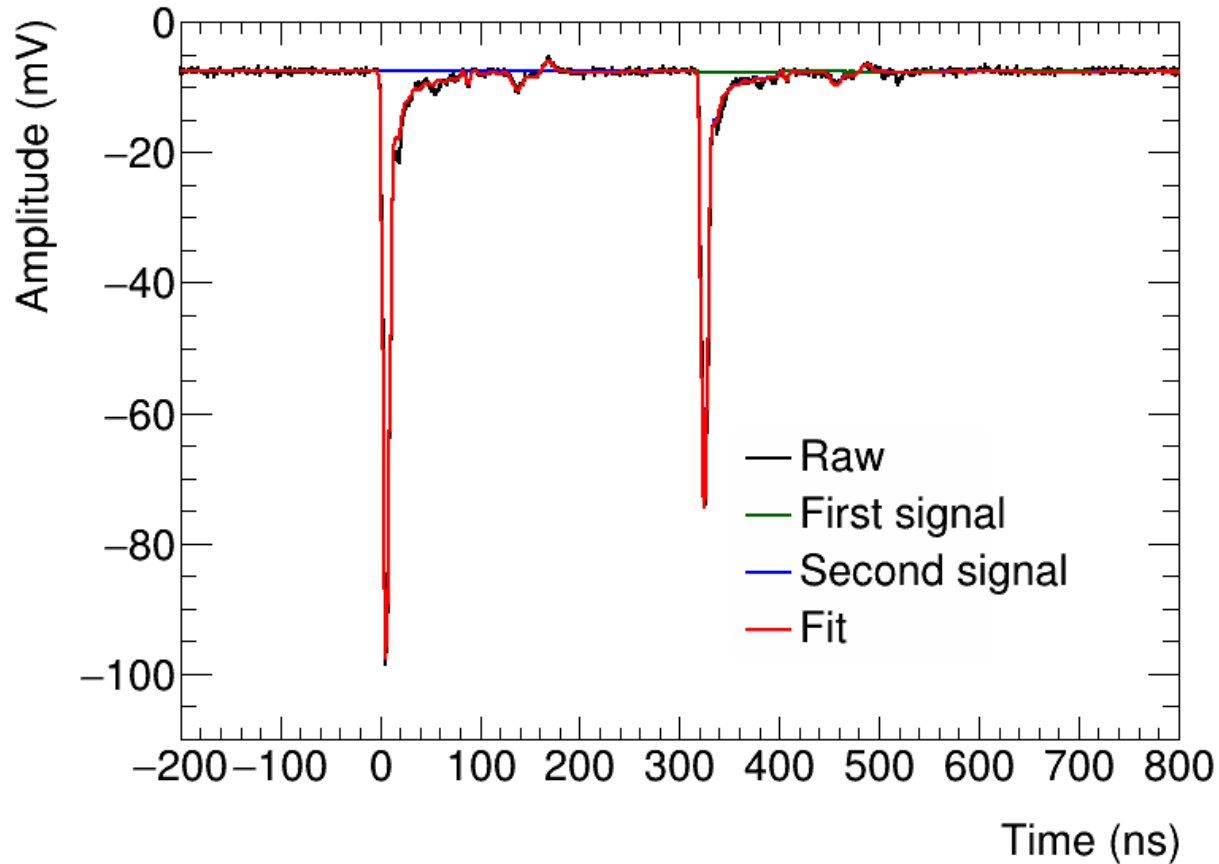
- 15 x ADQ14DC Teledyne SP Devices cards (14 bits, 1 GS/s, 4 ch)
- 2 x Counter/Timer PCIe6612 National Instruments
- NI Octoclock CDA-2990 (10 MHz, 8 ch)
- Wiener NIM/TTL Programmable modules
- 2 x PCs + 2 x PCIe crates
- 3 x 96 TB RAID 6

Integrates custom pulse shape analysis software developed at CIEMAT to analyze signals online:

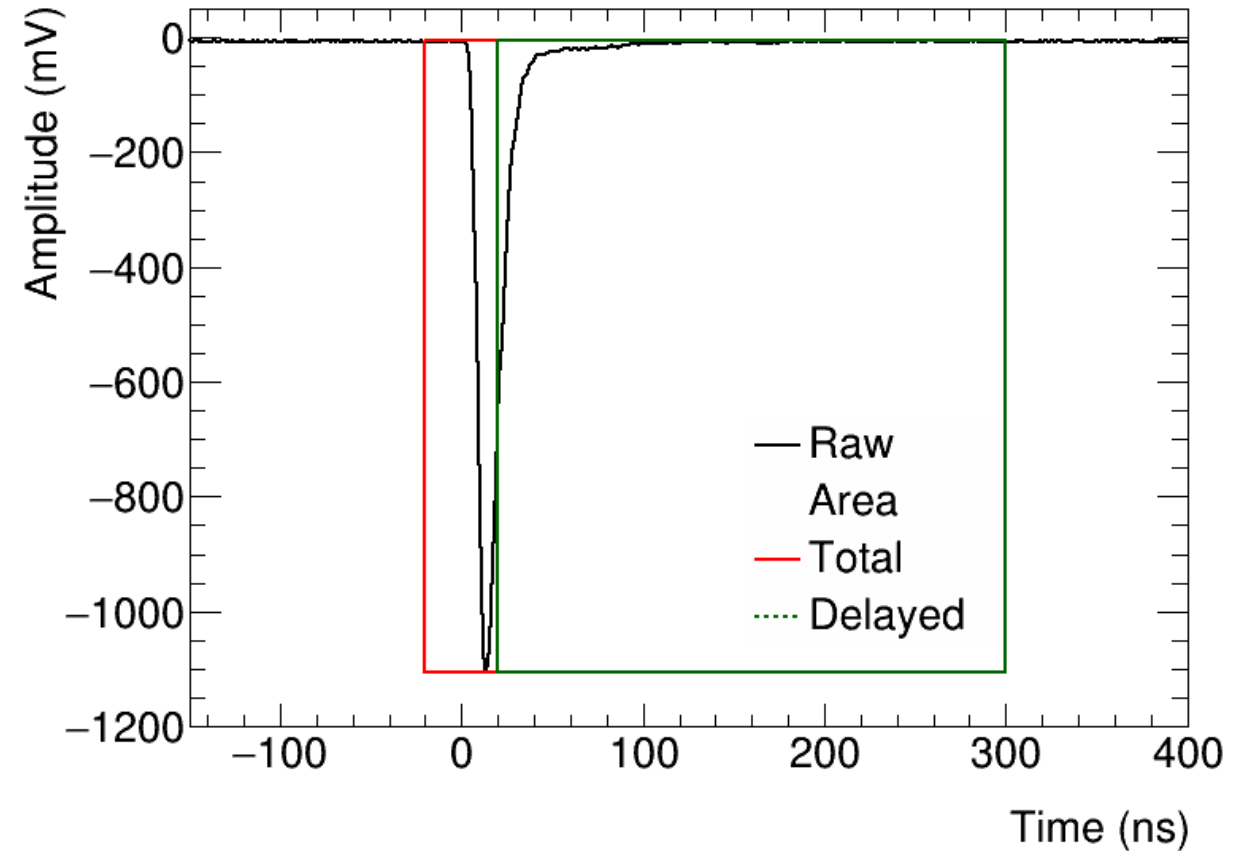
- Resolving pileups
- Without adding dead time



Pulse shape analysis



β -detector frame with the signals fitted to the average signal



MONSTER frame with the signal digitally integrated in regions:

$$PSD = \frac{A_{delayed}}{A_{total}}$$

Index

- Introduction
- **Methodology**
- $^{85,86}\text{As}$ β -decays @ IGISOL
- Summary and conclusions

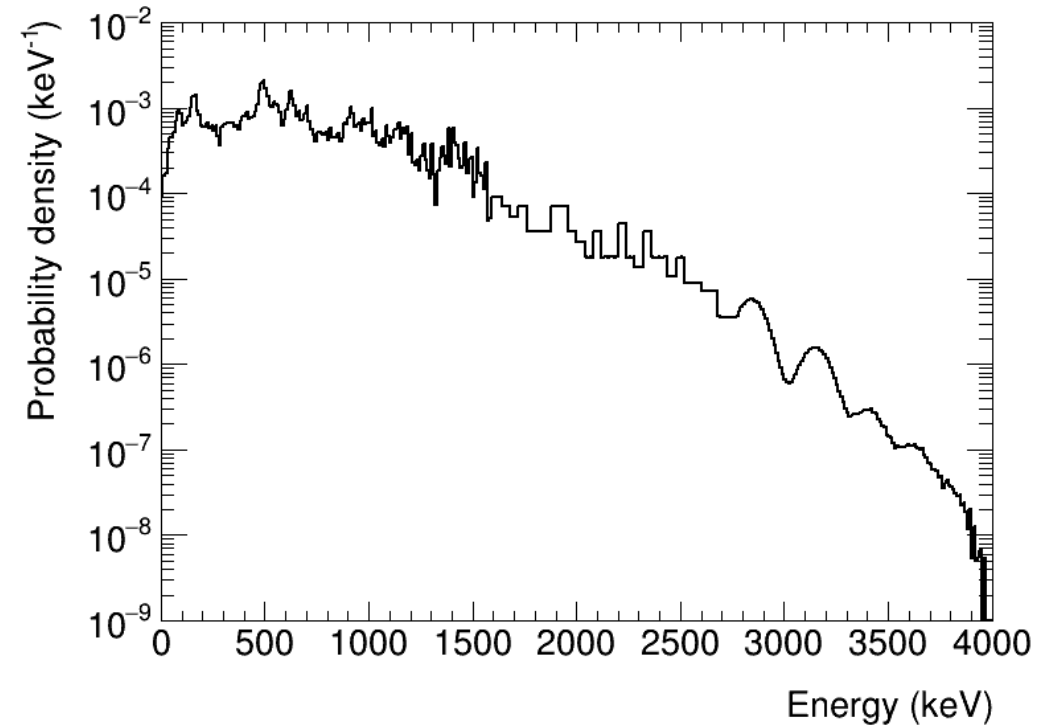
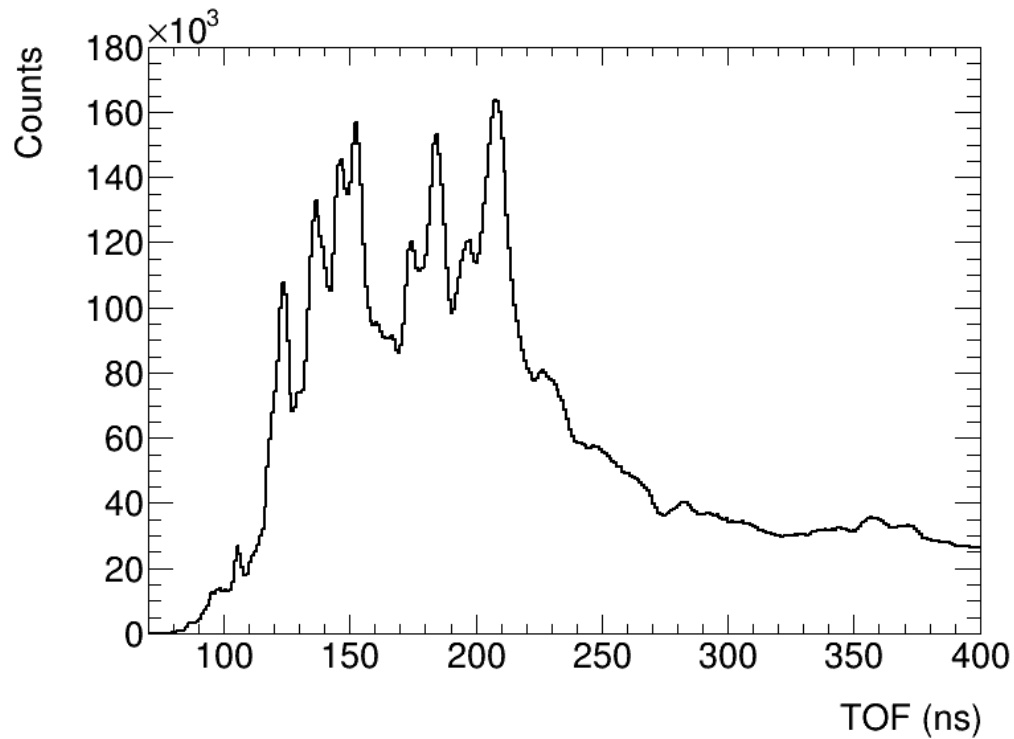
Inverse problem

$$TOF = R \cdot E_n$$

TOF
spectrum

Response
matrix

Neutron energy
distribution



Inverse problem

$$TOF = R \cdot E_n$$

TOF spectrum Response matrix Neutron energy distribution

The response matrix transforms the original neutron energy distribution into the measured TOF spectrum

What is needed:

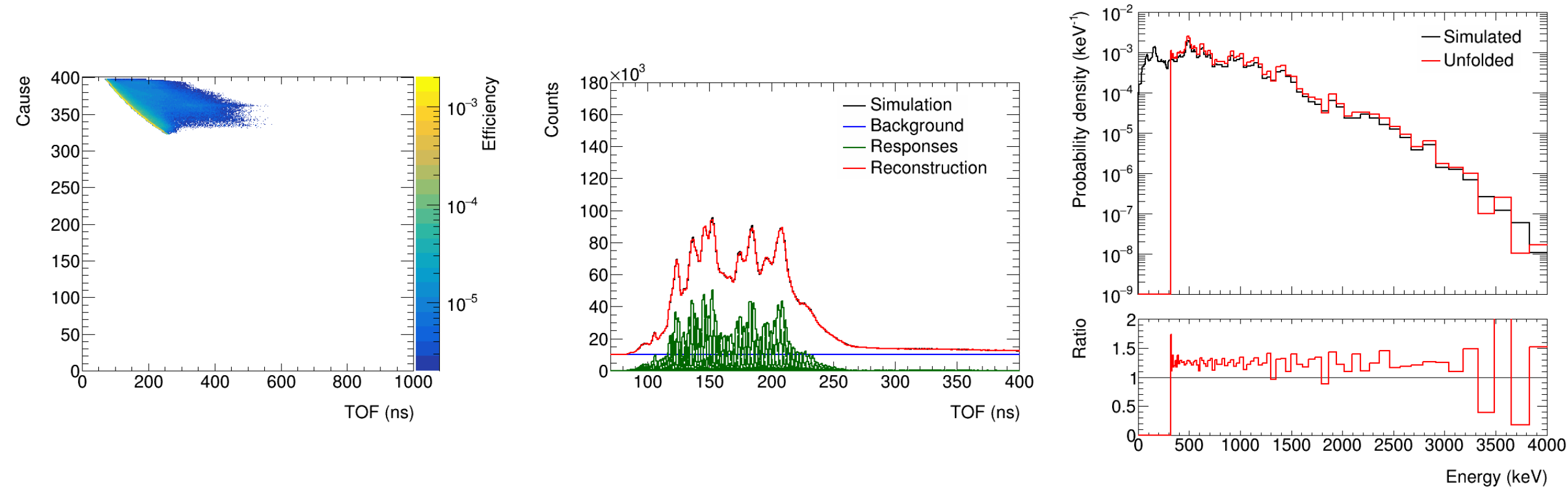
- Method for solving the inverse problem -> Iterative Bayesian method G. D'Agostini, Nucl. Instrum. and Methods A, **362**, (1995) 487
- Construction of the response matrix R covering the whole neutron energy range and providing the TOF response for each considered neutron energy -> Accurate Monte Carlo simulations with Geant4

Validation with the analysis of a virtual experiment's TOF data with a known solution (neutron energy distribution):

- R is discretized in TOF and E_n . The best binning in TOF and E_n has to be determined
- Study of systematical effects on the obtained solution. Different R s for different thresholds, background, and β -detection efficiency

Analysis of a realistic β -decay experiment

The realistic experiment combines several experimental effects, such as the flight path and TOF resolutions, the neutron detection threshold, and includes the effect of the β -detector threshold



A very accurate reproduction of the neutron energy distribution is achieved over a large energy range

A. Pérez de Rada Fiol *et al.*, "Analysis methodology of neutron time-of-flight spectra based on Bayesian unfolding and accurate Monte Carlo simulations", Submitted for publication

Index

- Introduction
- Methodology
- $^{85,86}\text{As}$ β -decays @ IGISOL
- Summary and conclusions

Analysis scheme

Fit of the β -activity curve ->

Number of decays N_d

Unfolding of the TOF spectrum ->

Neutron energy distribution

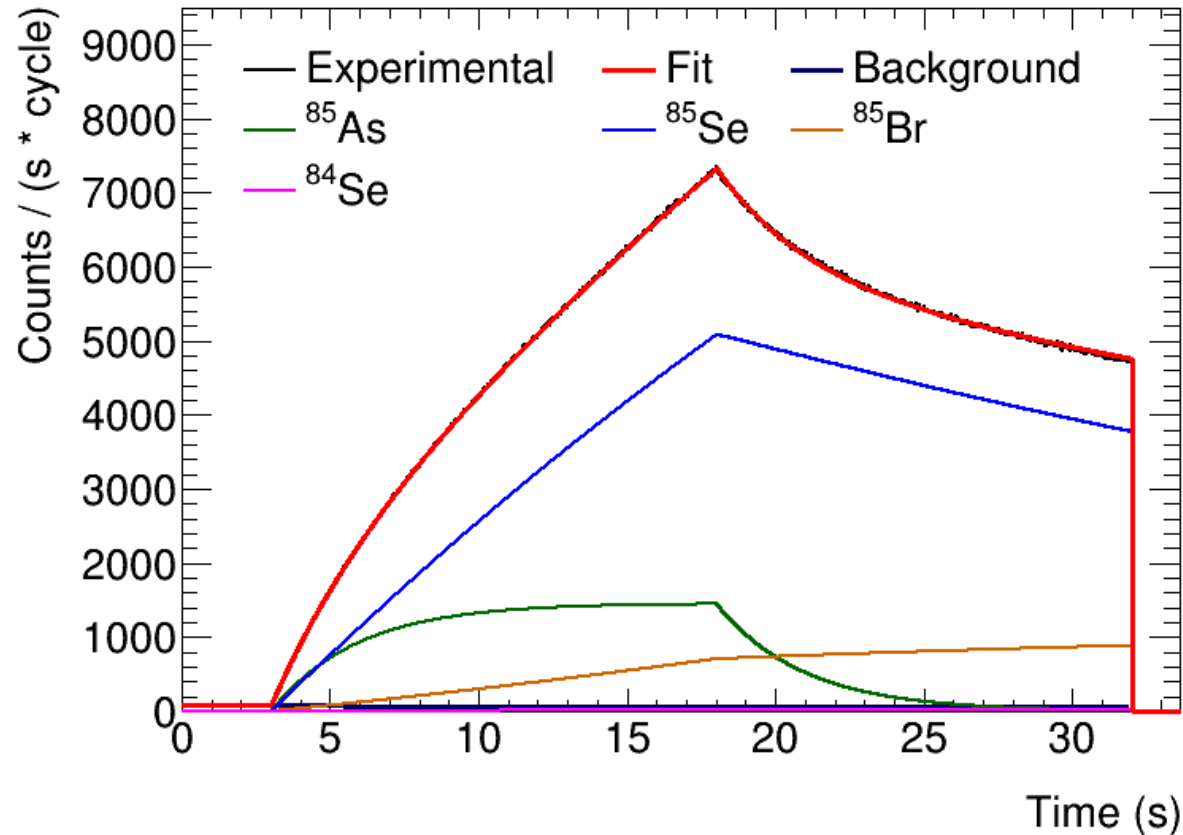
Total number of neutrons N_n emitted above the detection threshold

$$P_n^* = \frac{N_n}{N_d}$$

Lower estimate of the P_n value

Solving the Bateman equations for ^{85}As

Simulated from experimental data



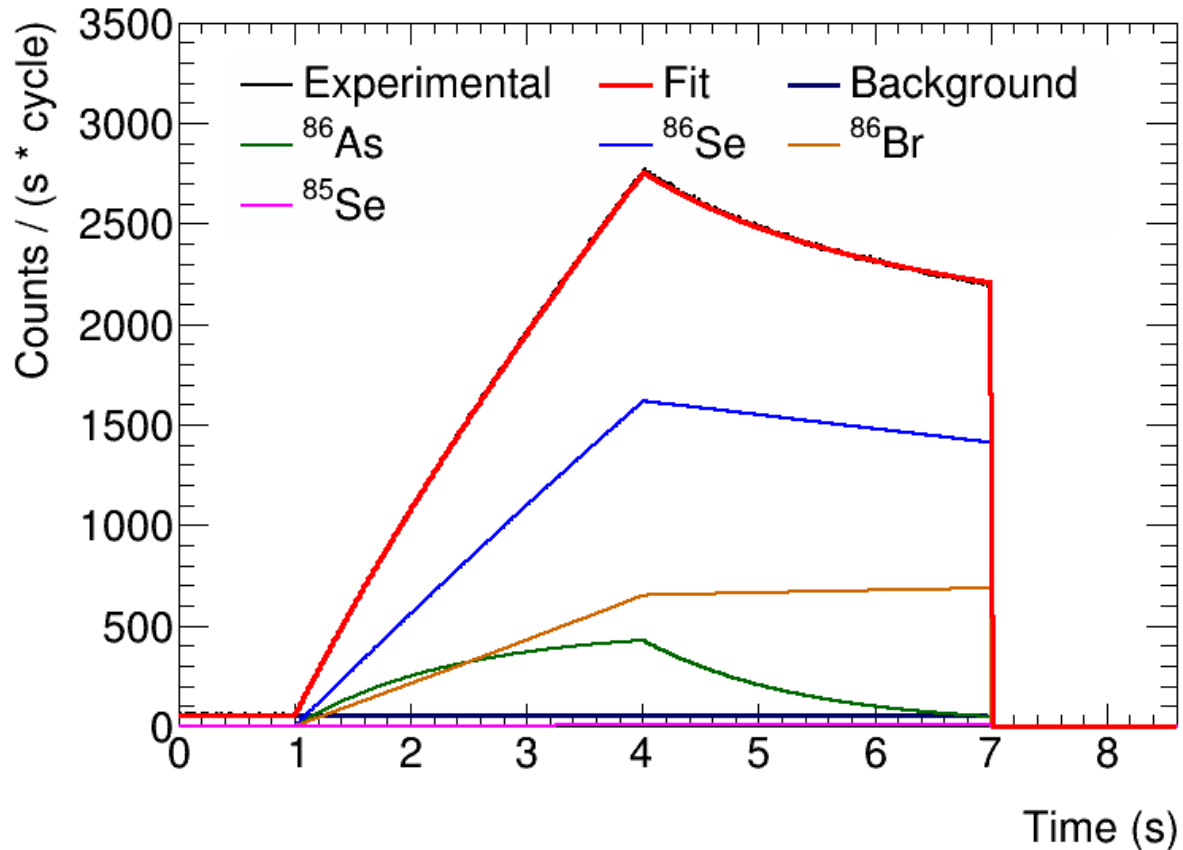
$$A(t) = \sum_{i=1}^n \bar{\epsilon}_i \lambda_i N_i(t)$$

AZ	$\bar{\epsilon}$ (%)	R (ions/s)	Decays
^{85}As	80.8	1800 ± 100	$(4.8 \pm 0.3) \times 10^7$
^{85}Se	76.0	23300 ± 900	$(2.39 \pm 0.09) \times 10^8$
^{85}Br	69.7	13900 ± 2500	$(4.2 \pm 0.5) \times 10^7$
^{84}Se	55.1	0 ± 0	$(1.8 \pm 0.1) \times 10^6$

$$N_n(t) = \sum_{i=1}^n N_i(t_0) \left(\prod_{j=i}^{n-1} (\lambda_j b_{j,j+1}) \sum_{j=i}^n \frac{e^{-\lambda_j(t-t_0)}}{\prod_{p=i, p \neq j}^n (\lambda_p - \lambda_j)} \right) + \sum_{i=1}^n R_i \left(\prod_{j=i}^{n-1} (\lambda_j b_{j,j+1}) \sum_{j=i}^n \frac{1 - e^{-\lambda_j(t-t_0)}}{\lambda_j \prod_{p=i, p \neq j}^n (\lambda_p - \lambda_j)} \right)$$

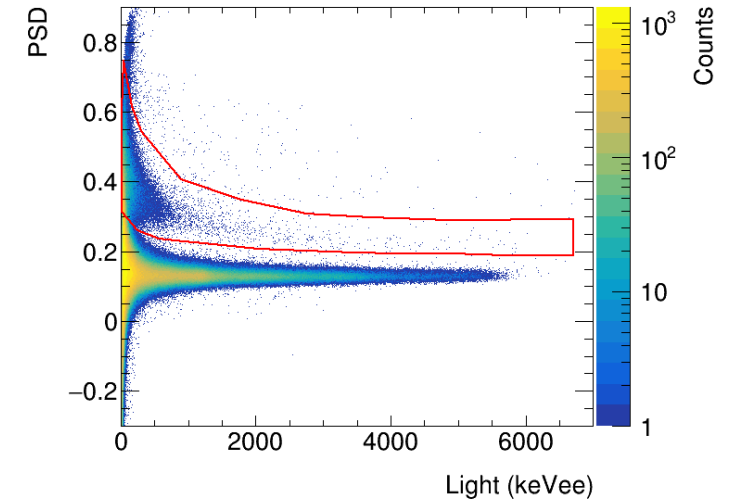
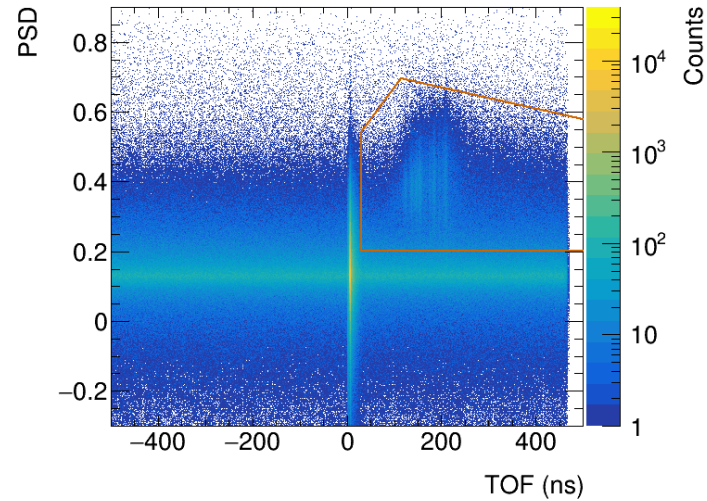
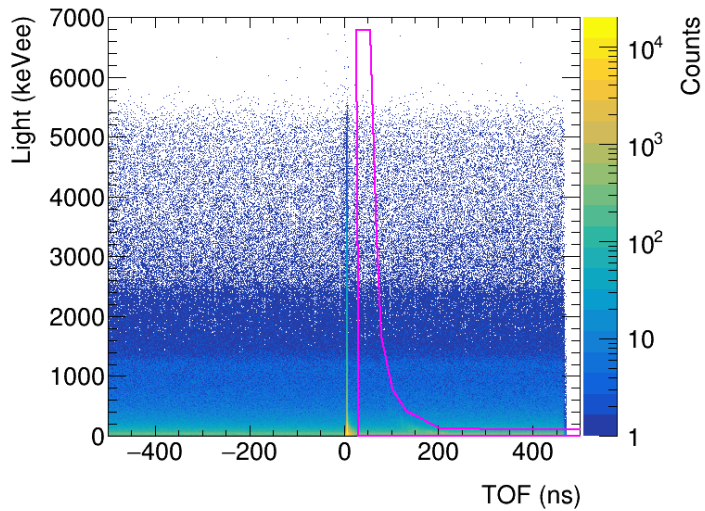
K. Skrable *et al.*, Health Physics, **27**, (1974) 155

Solving the Bateman equations for ^{86}As



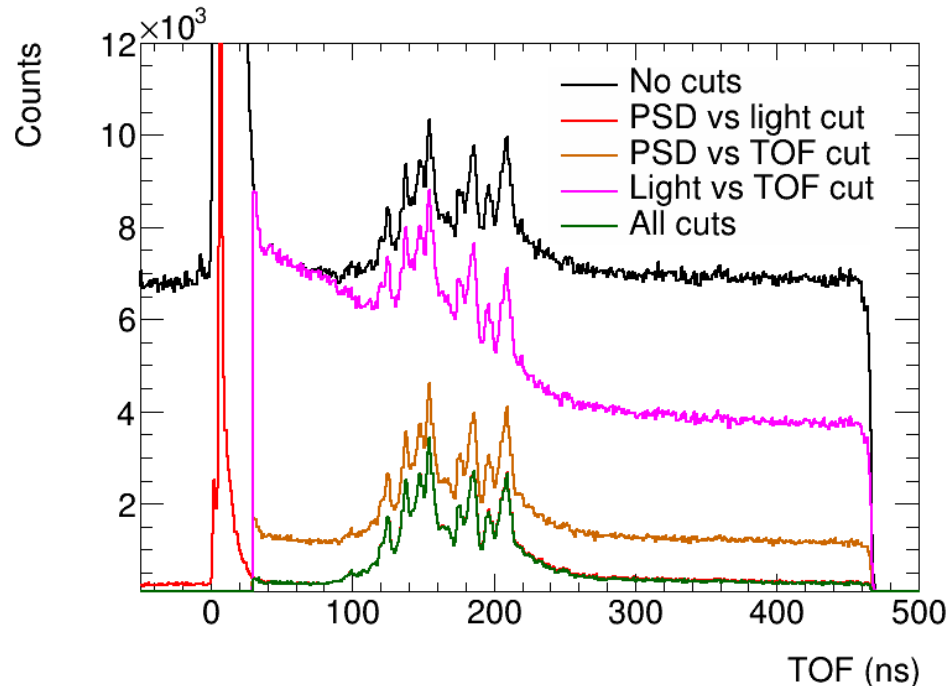
A_Z	$\bar{\epsilon}$ (%)	R (ions/s)	Decays
^{86}As	83.5	570 ± 40	$(1.27 \pm 0.08) \times 10^7$
^{86}Se	72.9	16100 ± 400	$(7.4 \pm 0.2) \times 10^7$
^{86}Br	77.5	21500 ± 2100	$(3.0 \pm 0.3) \times 10^7$
^{85}Se	76.0	0 ± 0	$(3.2 \pm 0.2) \times 10^5$

Analysis of the TOF data



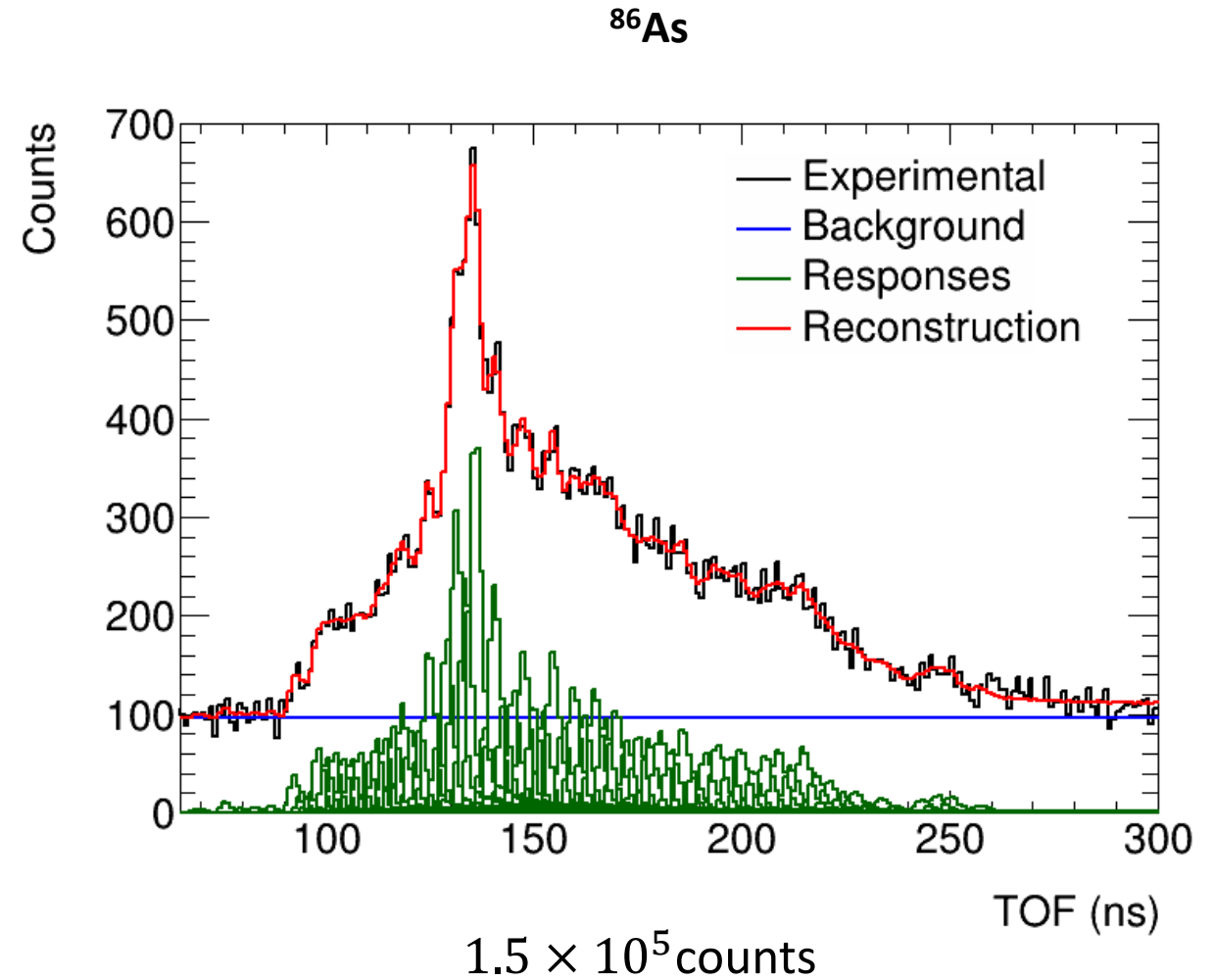
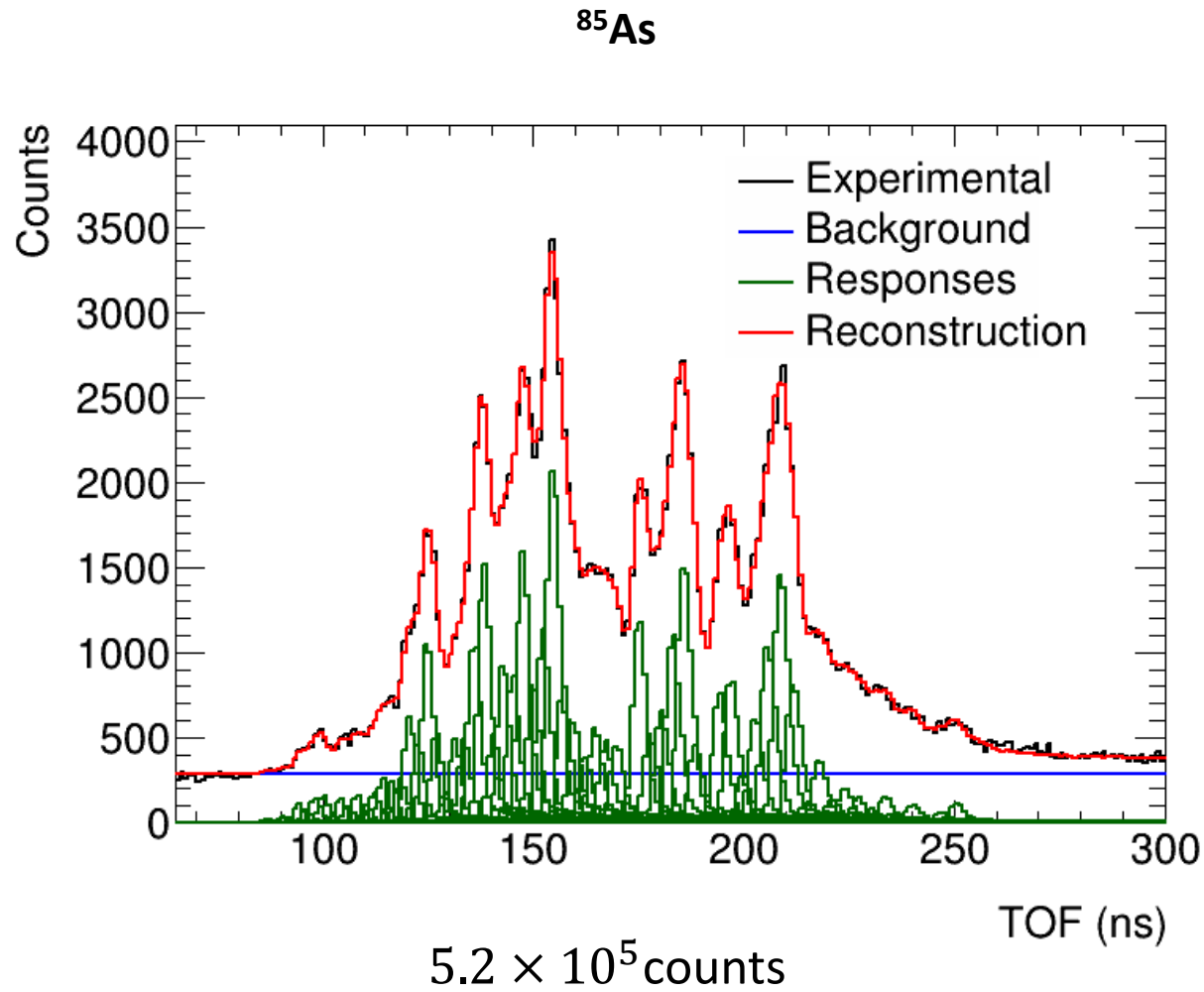
Neutron cut used in plastic scintillators

Different neutron cuts were studied to obtain a “clean” TOF spectrum



The importance of having PSD: the PSD vs light cut allows for more than one order of magnitude of uncorrelated γ -rays background suppression

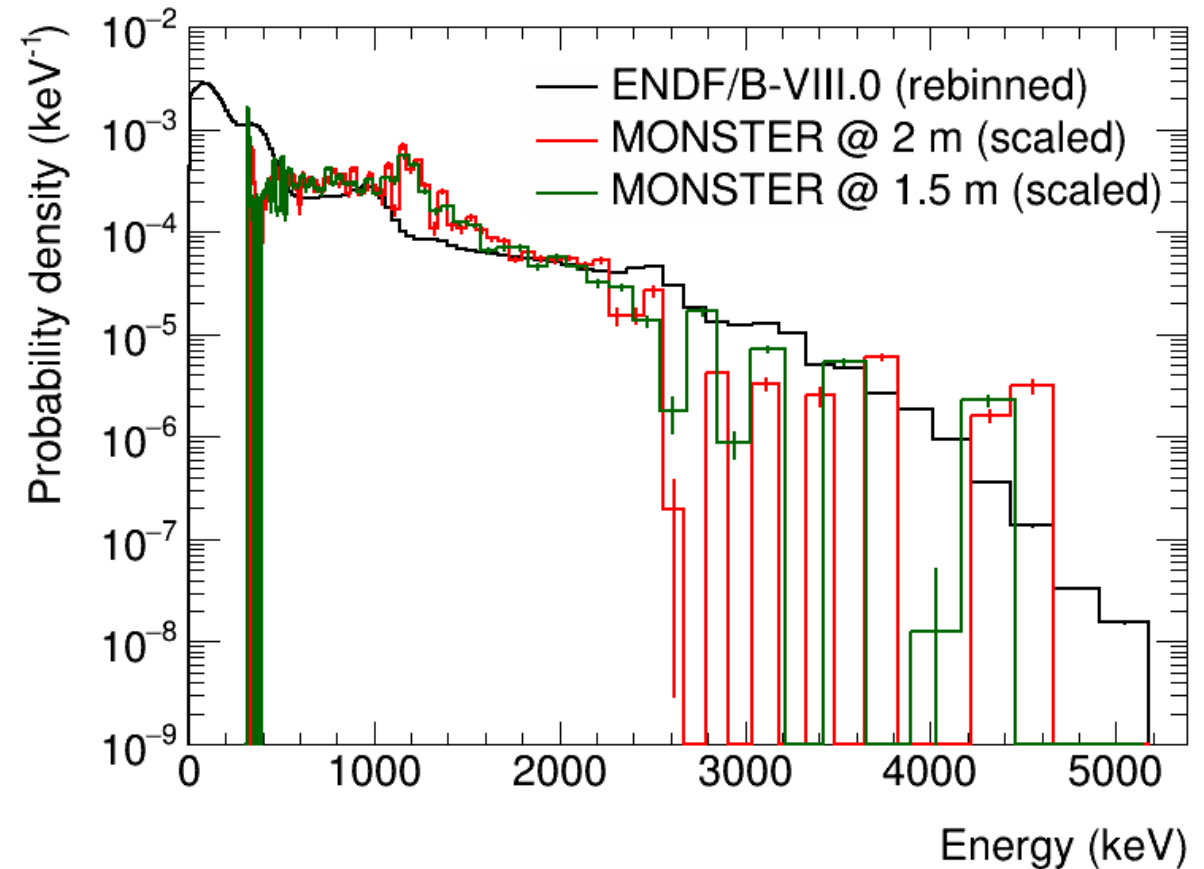
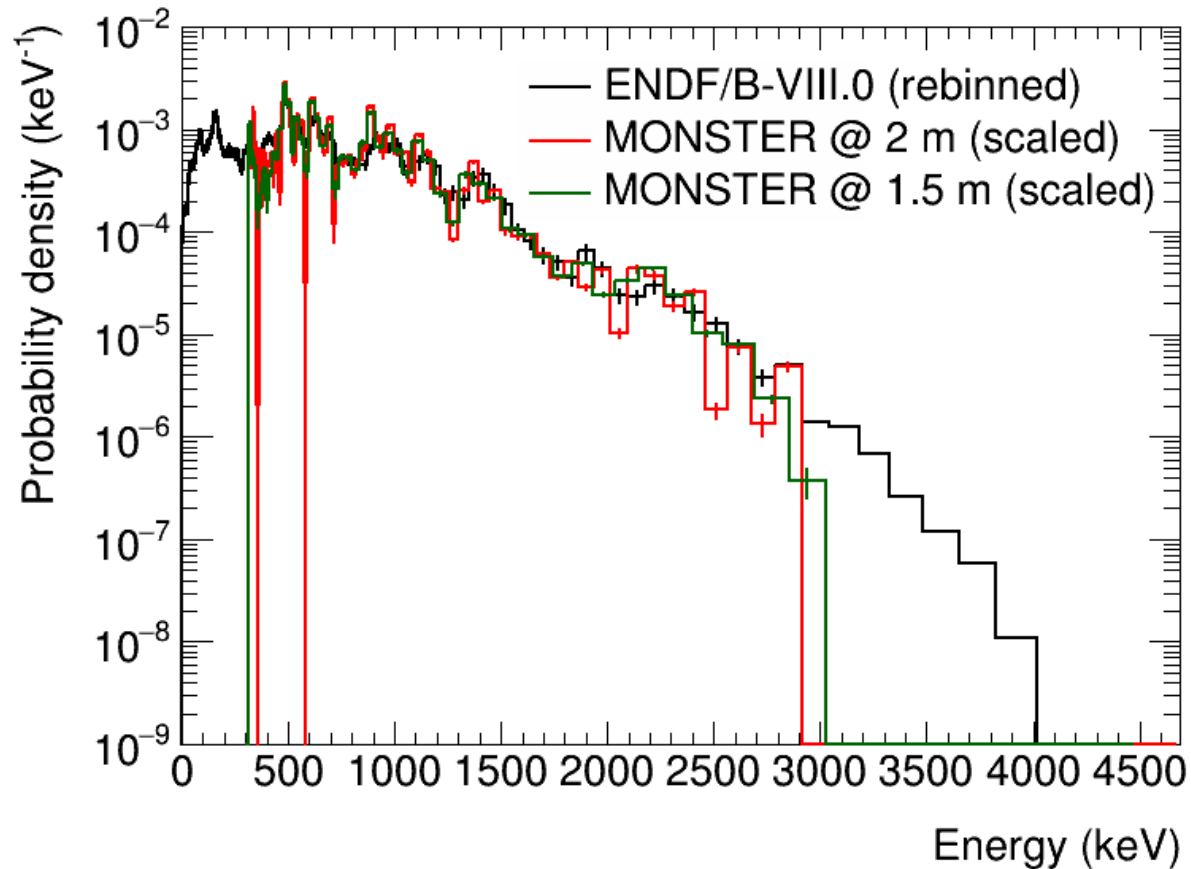
Neutron TOF data unfolding



$^{85,86}\text{As}$ β -decays @ IGISOL

^{85}As

^{86}As



Excellent agreement with previous data and evaluations

Index

- Introduction
- Methodology
- $^{85,86}\text{As}$ β -decays @ IGISOL
- Summary and conclusions

Summary and conclusions

The main takeaways from this presentation are:

- **Commissioning of MONSTER and its DAQ system DAISY:**
 - Successful commissioning and ready to be used (for other kind of experiments too!)
 - Good neutron/ γ -ray discrimination capabilities
 - Excellent energy resolution
- **Validation of a new data analysis methodology for neutron TOF spectroscopy:**
 - Unfolding of the TOF spectrum with a methodology based on the iterative Bayesian unfolding method and accurate Monte Carlo simulations
 - Validation of the unfolding methodology with a simulated experiment
- **Results:**
 - Procurement of the ^{85}As β -delayed neutron spectrum and the “first” ^{86}As β -delayed neutron spectrum

The MONSTER Collaboration today

	CIEMAT	VECC	JYFL-ACCLAB	IFIC/UPC	Total
Detectors	45	15	8	6	74
Channels	56	8	8	0	72

