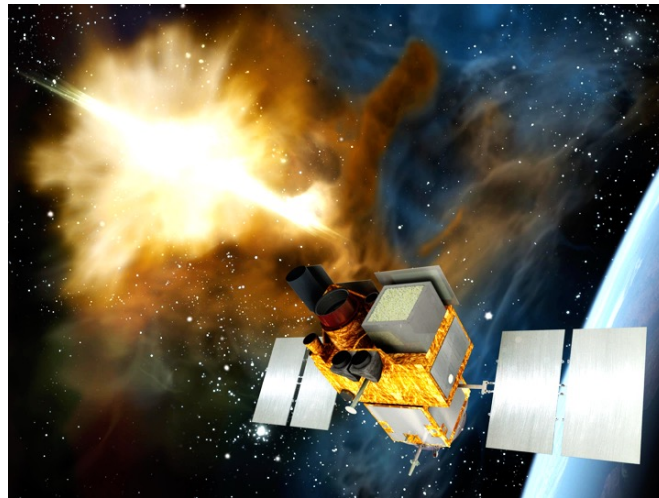
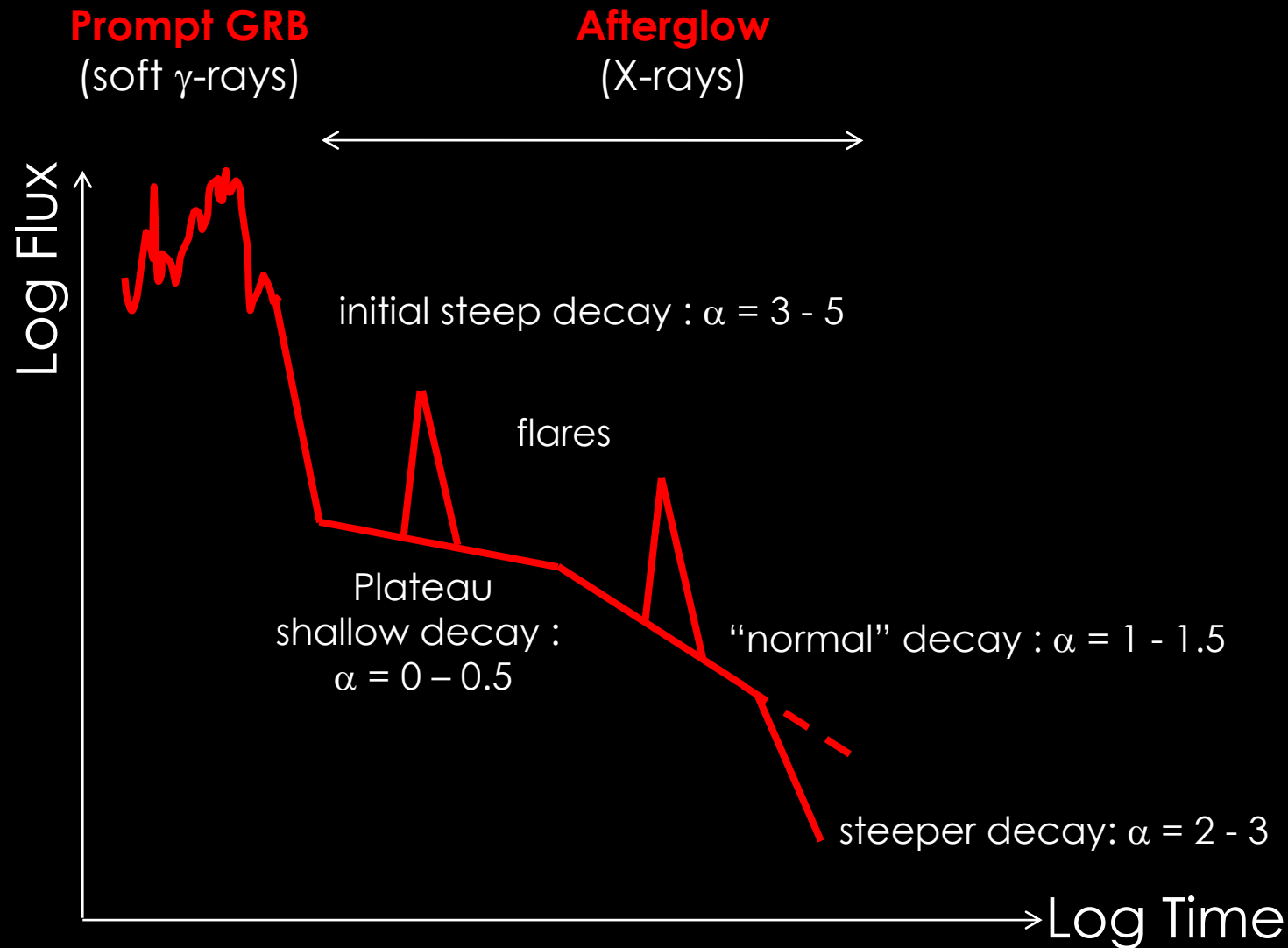

Interpretation/Modeling: Prompt/afterglow emission / Population models

IAP, 6-7 May, 2024

Frédéric Daigne



GRB Lightcurves: prompt to afterglow

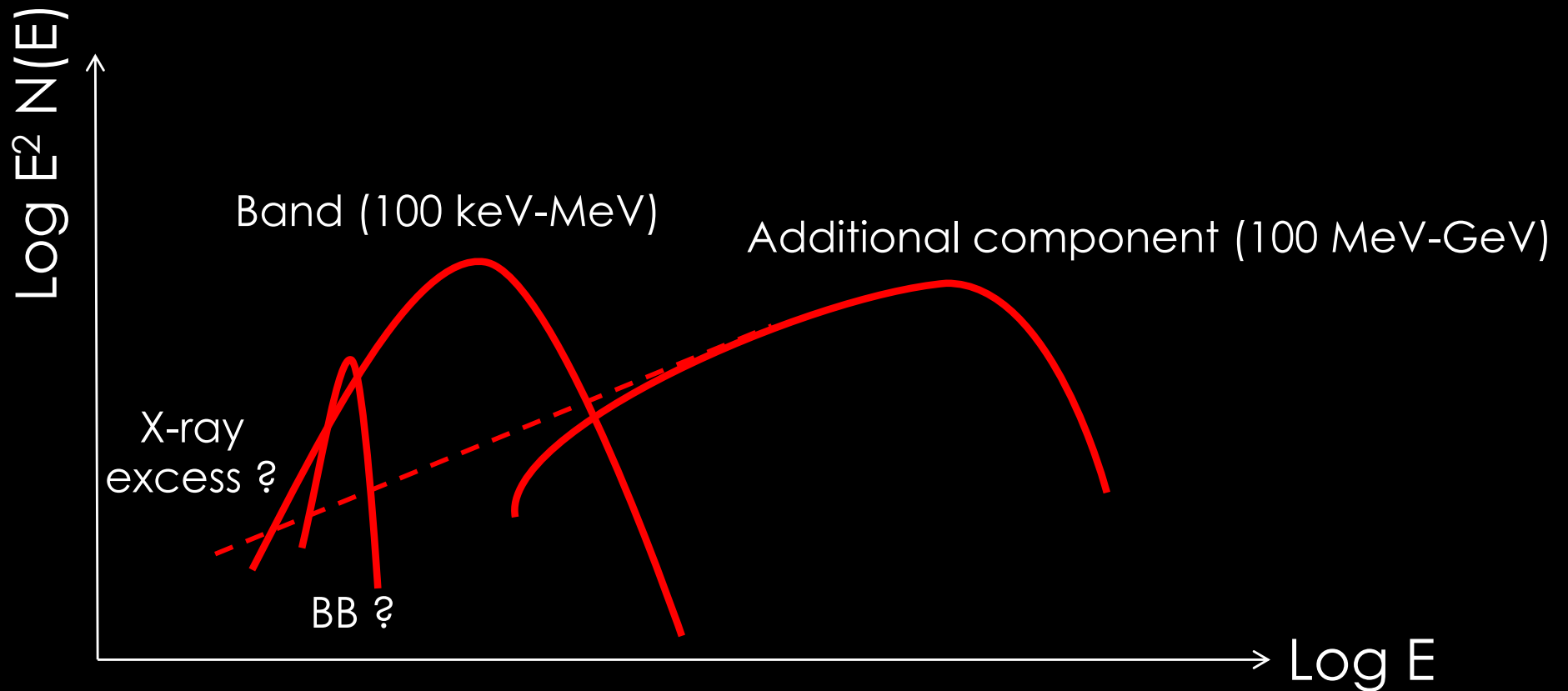


Also: prompt
optical, GeV

Also: optical, radio afterglow
long-lasting Fermi/LAT emission

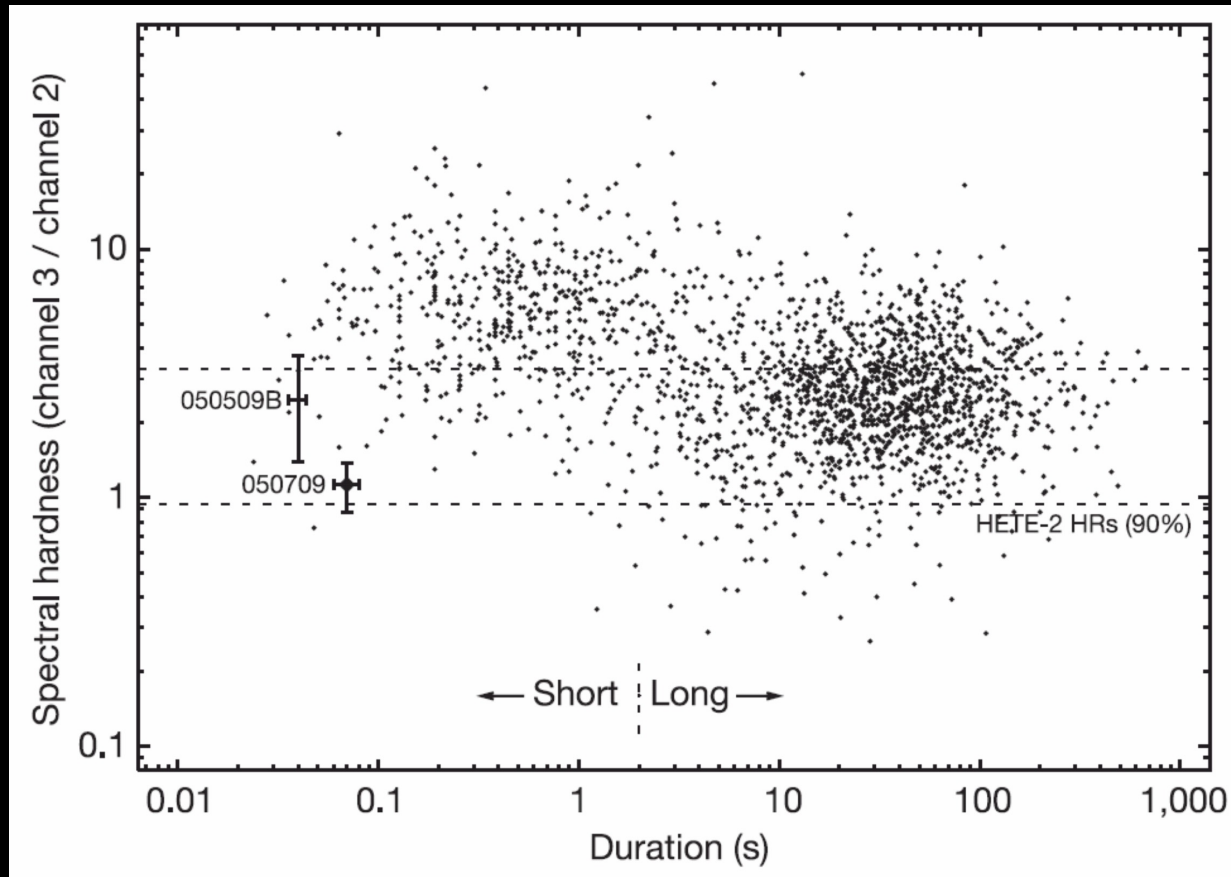
+ VHE gamma-rays in a few cases (MAGIC, HESS, LHAASO)

GRB Spectrum: Prompt



GRB Spectrum: Afterglow = non-thermal, probably 2 components

GRB diversity: XRR, XRFs, Low-L GRBs, etc.

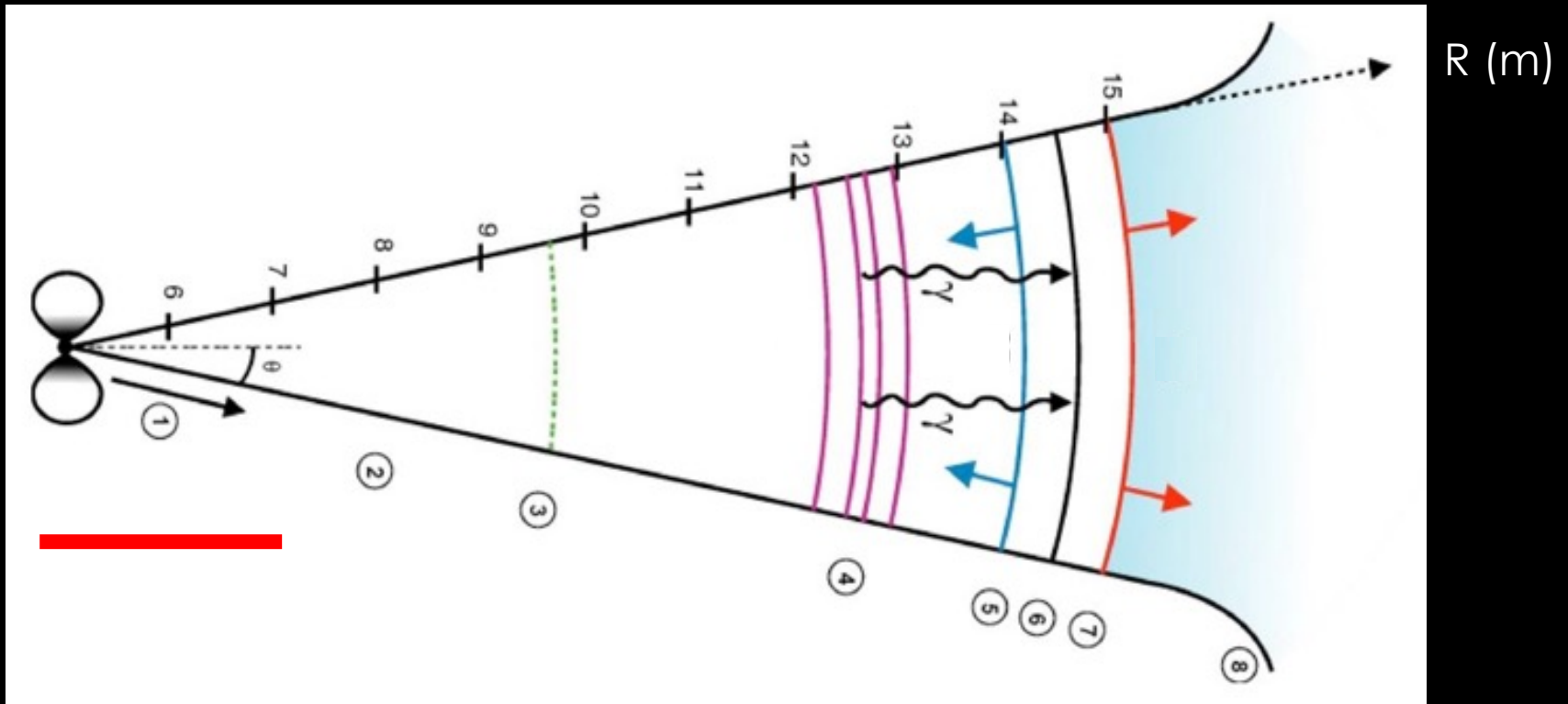


Hjorth et al. 2005

- **Short GRBs tend to be harder**, with some exceptions
- Long GRBs show a lot of diversity, with soft or very soft events, usually also weaker:
X-ray Rich Bursts, X-Ray Flashes, Low-Luminosity Bursts, etc.

Same physics/progenitors ? Importance of afterglow/host observations

Initial event & central engine



Two main classes of progenitors:

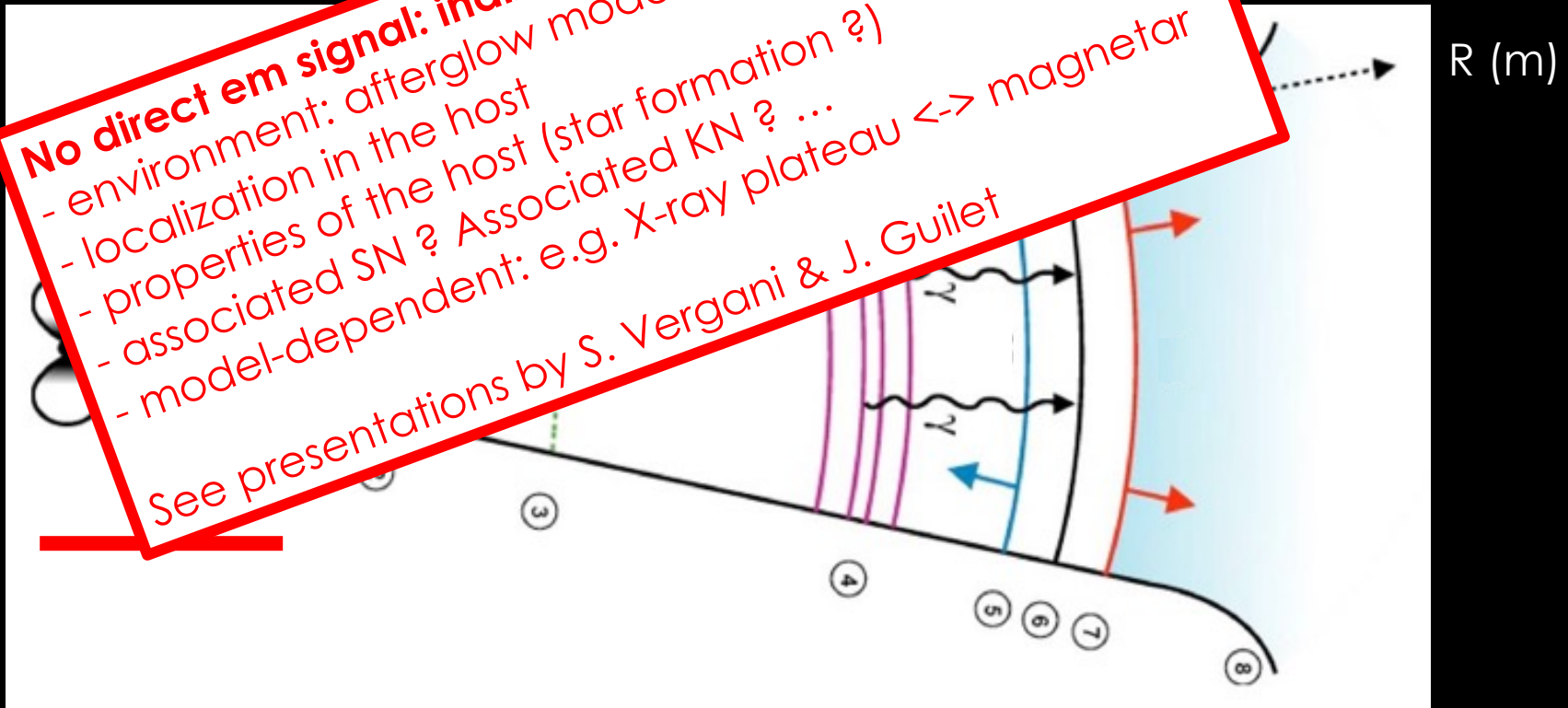
- Core-collapse of massive star (collapsar model) – « long » GRB
- Merger of binary neutron star system (or NSBH ?) – « short » GRB

Initial event & central engine

No direct em signal: indirect evidence

- environment: afterglow modelling / host observations
- localization in the host
- properties of the host (star formation ?)
- associated SN ? Associated KN ? ...
- model-dependent: e.g. X-ray plateau \leftrightarrow magnetar

See presentations by S. Vergani & J. Guilet

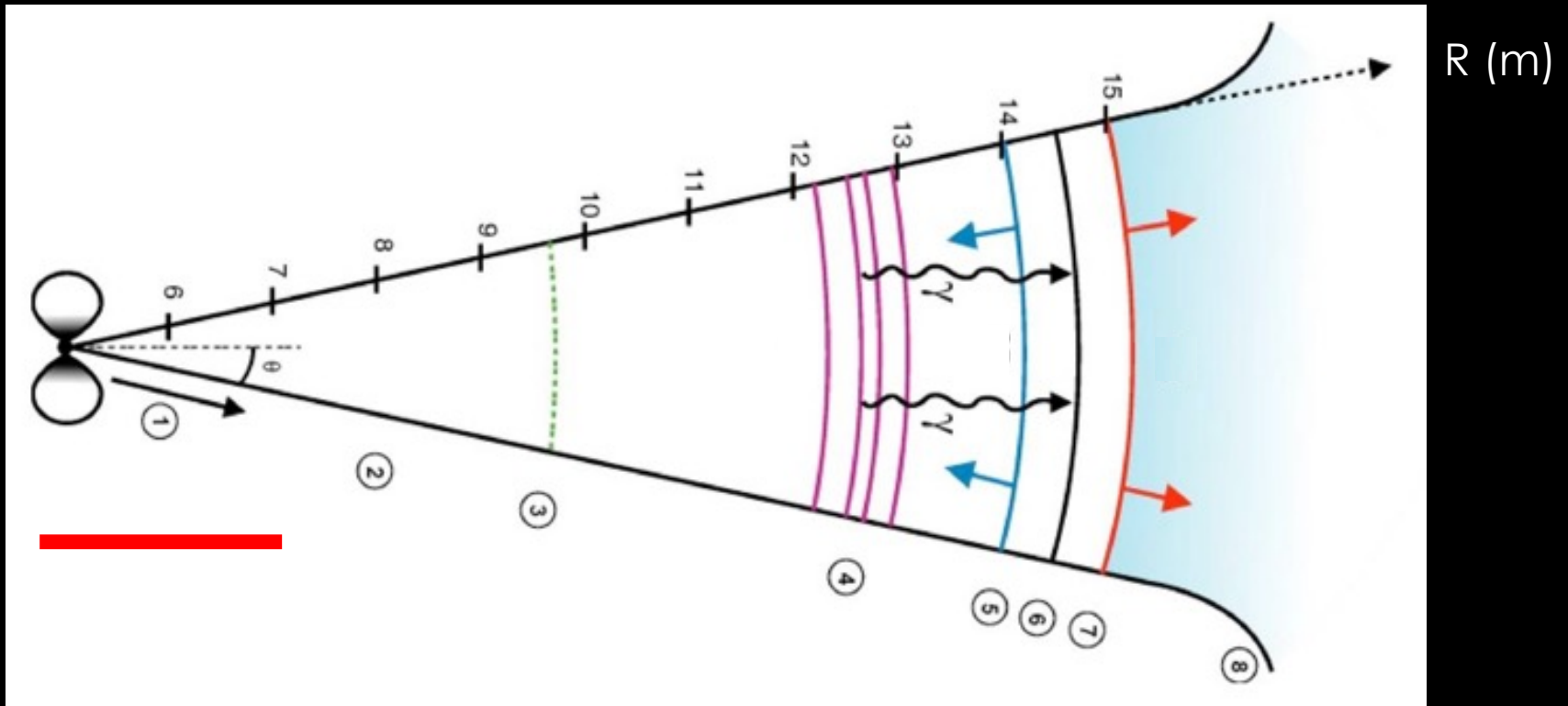


Two main classes of progenitors:

- Core-collapse of massive star (collapsar model) – « long » GRB
- Merger of binary neutron star system (or NSBH ?) – « short » GRB

Relativistic ejection

The GRB prompt emission has to be produced at large distance in a relativistic ejecta.



Relativistic ejection:

- Mechanism?
- Properties of the ejecta: Lorentz factor, geometry, magnetization, etc.

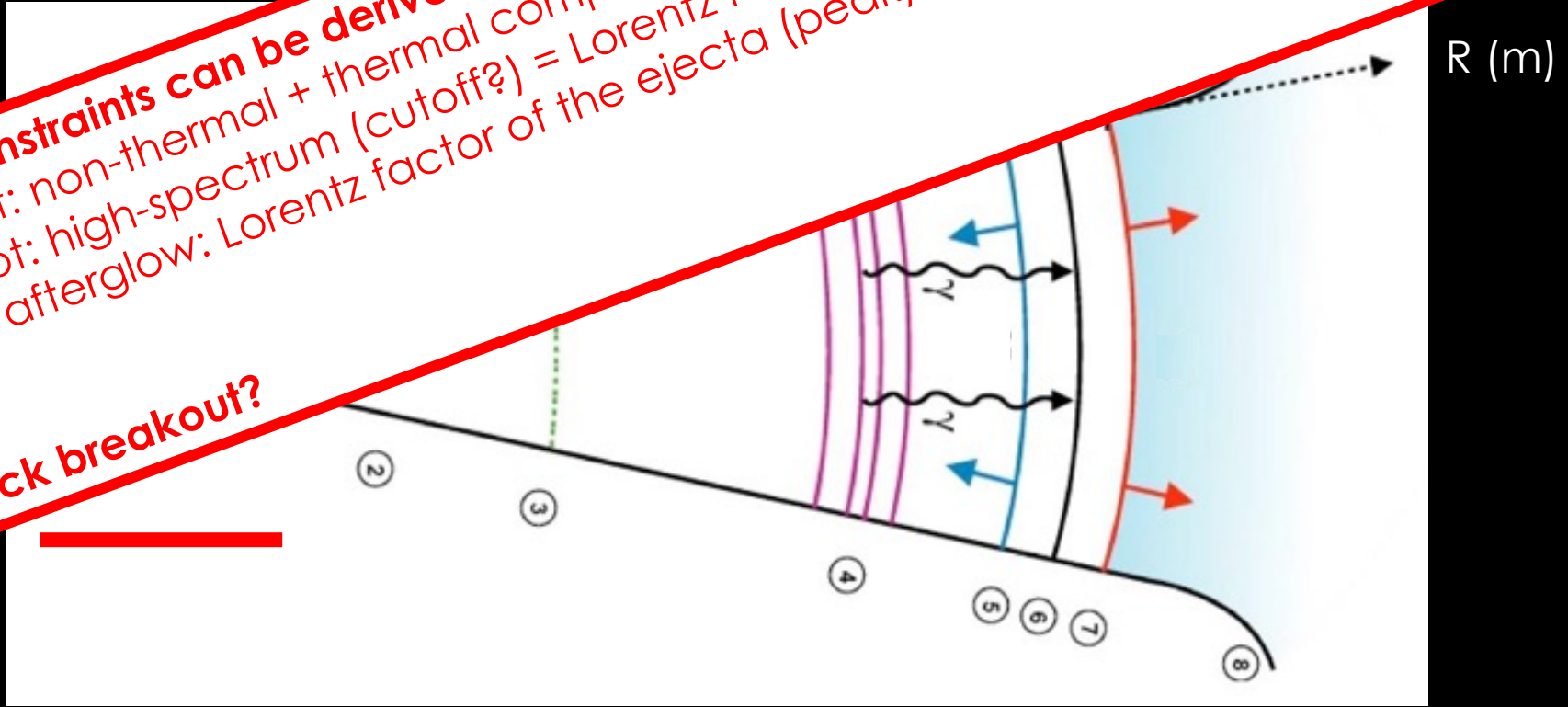
Relativistic ejection

The GRB prompt emission has to be produced by relativistic ejecta.

Some constraints can be derived from observations:

- prompt: non-thermal + thermal components = composition of the ejecta
- prompt: high-spectrum (cutoff?) = Lorentz factor of the ejecta
- early afterglow: Lorentz factor of the ejecta (peak)
- etc.

Shock breakout?



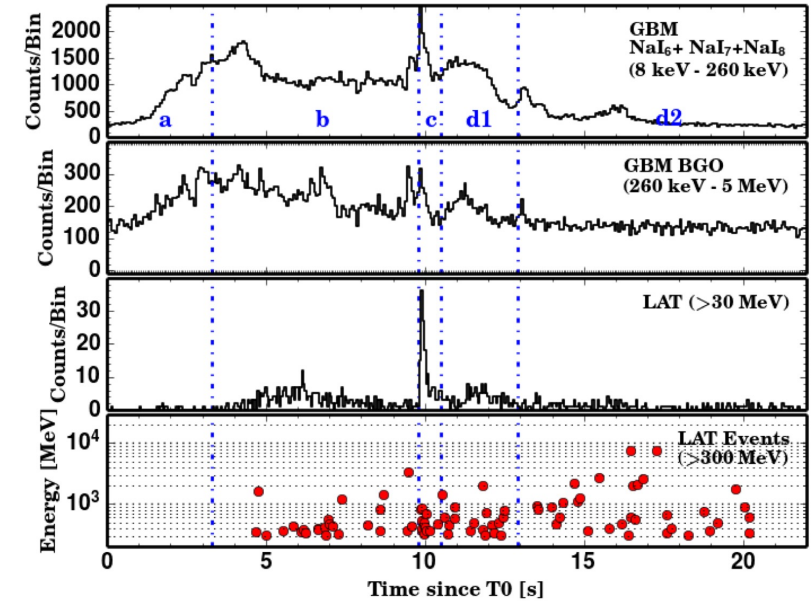
Relativistic ejection:

- Mechanism?
- Properties of the ejecta: Lorentz factor, geometry, magnetization, etc.

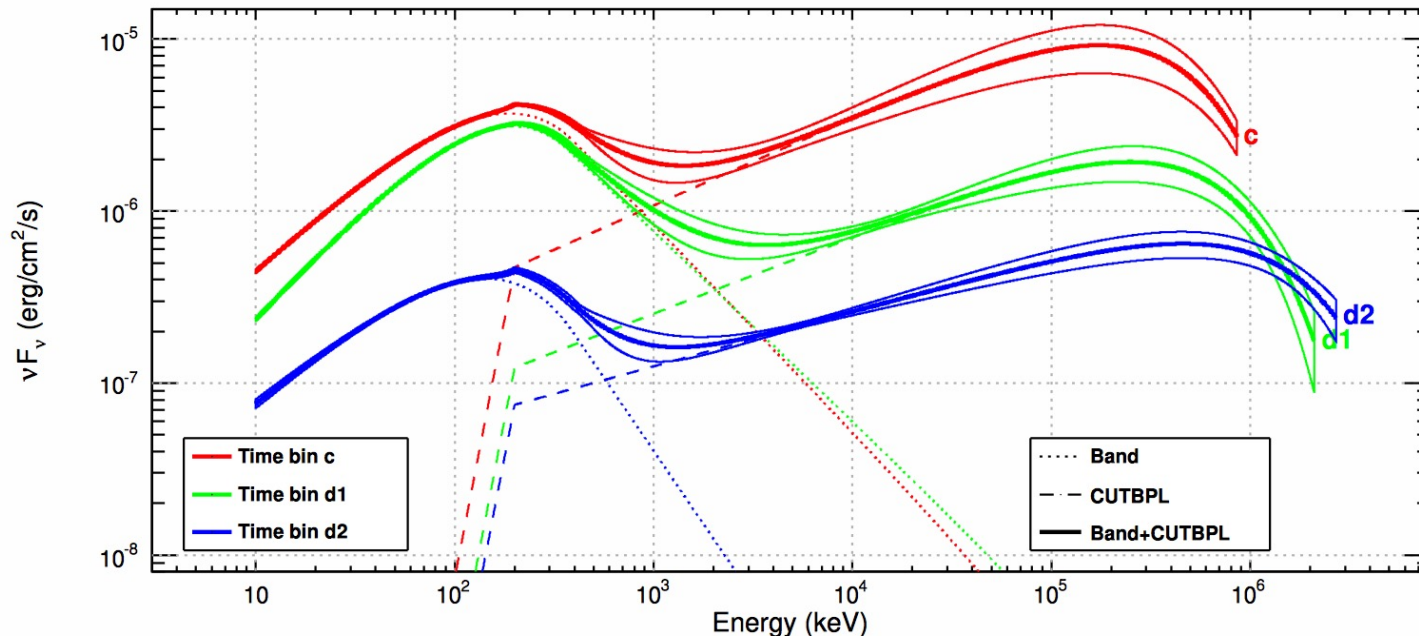
A few examples of such « simple » diagnostics
(not involving a heavy physical modeling)

Exemple 1: constraints on the Lorentz factor & emission radius

- Fermi-LAT burst GRB 090926A:
first observed cutoff at high-energy
- **Analysis & interpretation:** Yassine et al. [FD] 2017
 - time evolution of the cutoff



(Ackermann et al. 2011)



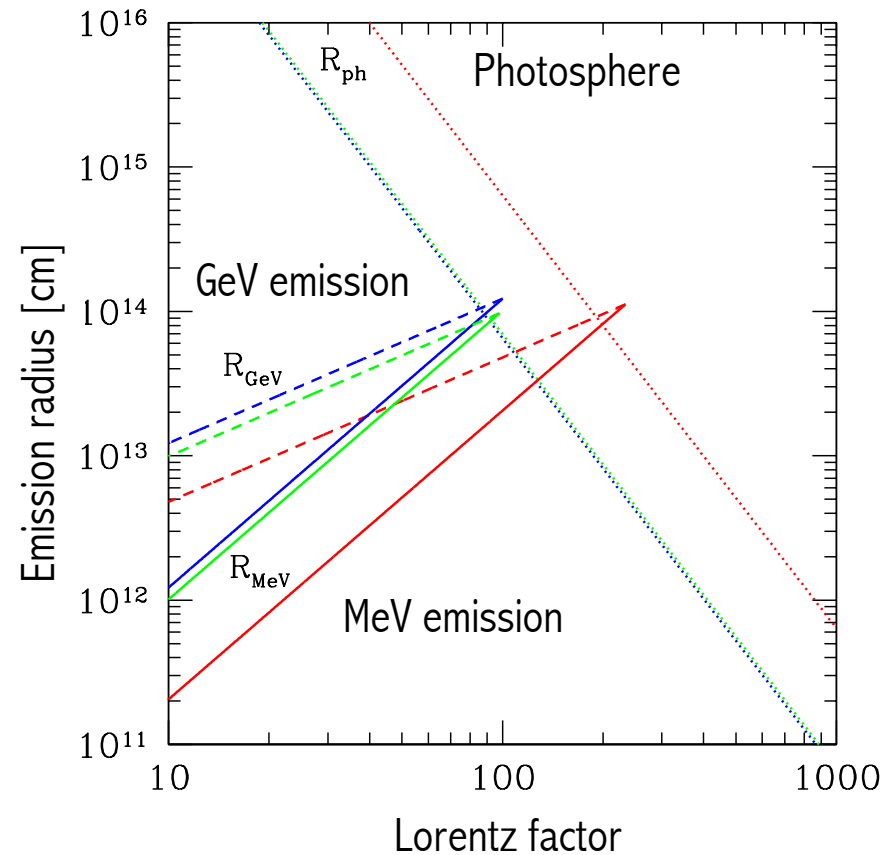
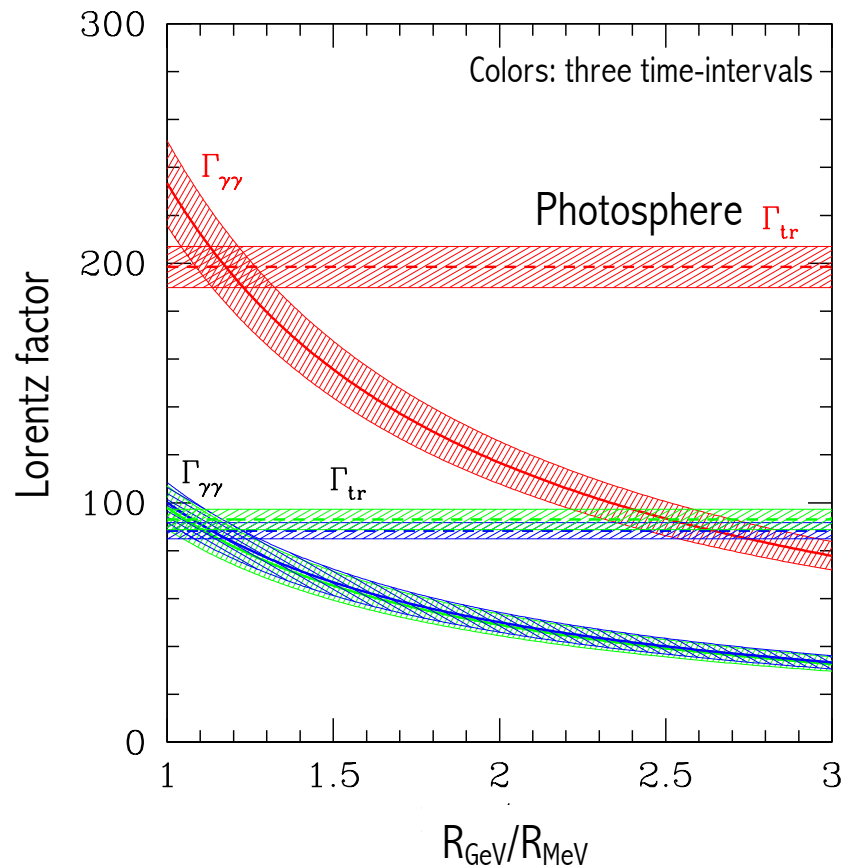
Yassine et al. [FD] 2017

Exemple 1: constraints on the Lorentz factor & emission radius

■ GRB 090926A: Analysis & interpretation: Yassine et al. [FD] 2017

- time evolution of the cutoff
- a natural explanation for the cutoff: $\tau_{\gamma\gamma}(E_{\text{cutoff}}) \sim 1$
detailed calculation: Hascoët et al. [FD] 2012

result: strong constraint on the Lorentz factor and emission radius



Exemple 1: constraints on the Lorentz factor & emission radius

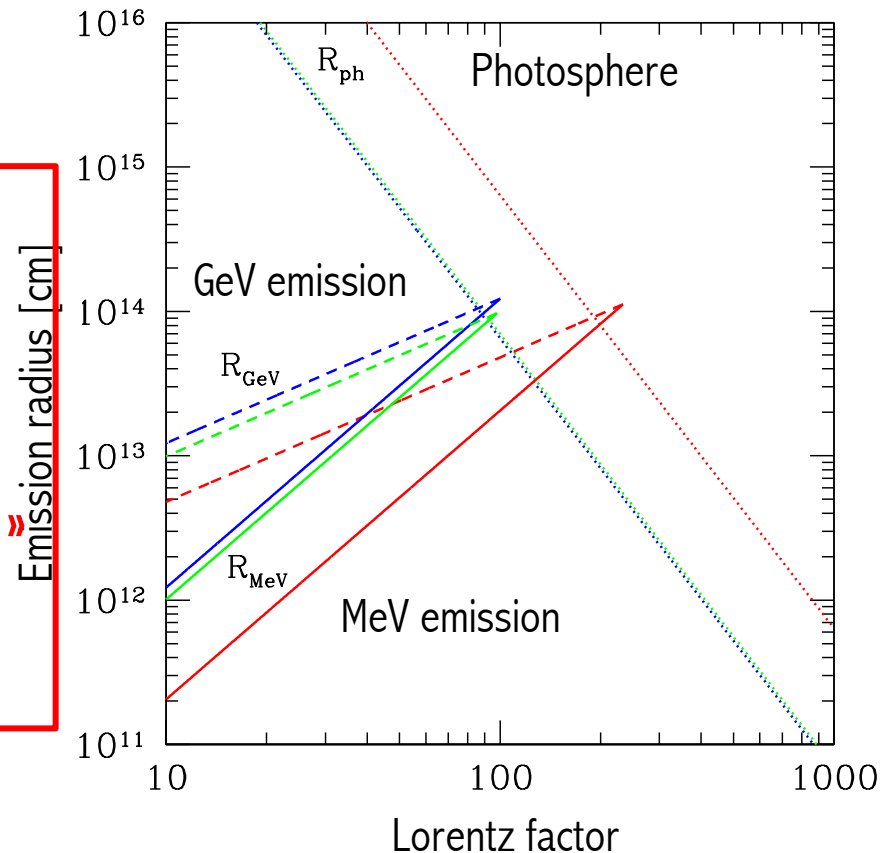
■ GRB 090926A: Analysis & interpretation: Yassine et al. [FD] 2017

- time evolution of the cutoff
- a natural explanation for the cutoff: $\tau_{\gamma\gamma}(E_{\text{cutoff}}) \sim 1$
detailed calculation: Hascoët et al. [FD] 2012

result: strong constraint on the Lorentz factor and emission radius

Lorentz factor ~ 230 to 100
Emission radius $\sim 10^{14}$ cm
Photospheric radius $\sim 5 \cdot 10^{13}$ cm

Compatible with « standard scenario »
(internal shocks/reconnection
above the photosphere)



Exemple 1: constraints on the Lorentz factor & emission radius

- In cases without a detected HE cutoff (usual case):

A lower limit on the Lorentz factor of the ejecta can be obtained.

What is needed: [Sari & Lithwick 2001](#), [Hascoet et al. \[FD\] 2012](#)

- Variability timescale
- Spectral shape
- Redshift

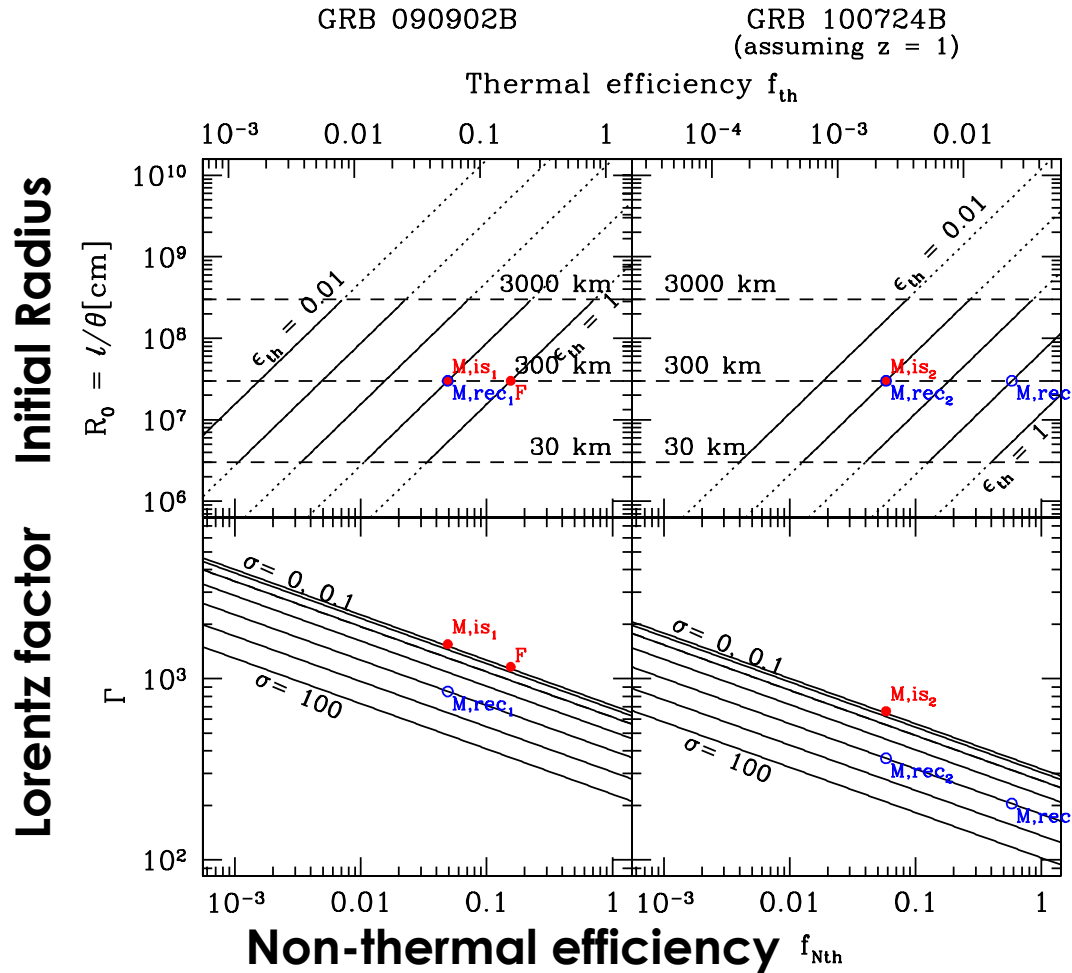
$$\Gamma_{\min} \simeq \frac{[C_1 2^{1+2\beta} \mathcal{I}(\beta)]^{1/2(1-\beta)}}{\left[\frac{1}{2} \left(1 + \frac{R_{\text{GeV}}}{R_{\text{MeV}}}\right) \left(\frac{R_{\text{GeV}}}{R_{\text{MeV}}}\right)\right]^{1/2}} (1+z)^{-(1+\beta)/(1-\beta)} \times \left\{ \sigma_T \left[\frac{D_L(z)}{c \Delta t_{\text{var}}}\right]^2 E_c F(E_c) \right\}^{1/2(1-\beta)} \left[\frac{E_{\max} E_c}{(m_e c^2)^2}\right]^{(\beta+1)/2(\beta-1)}, \quad (59)$$

Exemple 2: constraints on the ejecta composition

- A diagnostic can be applied in cases where the soft gamma-ray spectrum shows evidence for two components: a non-thermal component and a quasi-thermal one.
- Required measurements:
 - flux and temperature of the quasi-thermal component
 - flux ratio non-thermal/thermal
- Fireball model: leads to a measurement of the Lorentz factor and initial radius
[Sari & Lithwick 2007](#) = strongly model-dependent.
- General assumptions: [Hascoët, Daigne & Mochkovitch 2012](#)
 - When the ejecta is launched: energy = fraction ϵ_{th} thermal
fraction $1 - \epsilon_{\text{th}}$ magnetic
 - Large distance: magnetization σ
Passive field: $\sigma_{\text{passive}} = (1 - \epsilon_{\text{th}})/\epsilon_{\text{th}}$, efficient magnetic acc. $\sigma < \sigma_{\text{passive}}$
 - Non-thermal emission has an efficiency f_{NTTh}
- Analysis allows to derive a constraint on some of these parameters.

Ejecta composition from the thermal/non-thermal ratio

Hascoet, Daigne & Mochkovitch 2013



GRB 090902B: a rare case where the quasi-thermal component could be dominant.

GRB100724B: a bright GRB where the presence of a quasi-thermal component can be constrained.

Here: constraints obtained for
 - a given non-thermal efficiency (x-axis),
 - and a given initial thermal fraction and large-scale magnetization (lines).

F = fireball

M,is = internal shocks (low sigma)

M,rec = reconnection (high sigma)

Fig. 5. Constraints on the thermal and non-thermal emission in GRB 090902B and GRB 100724B. *Top:* for a given thermal fraction $\epsilon_{th} = 10^{-2}, 10^{-1.5}, 10^{-1}, 10^{-0.5},$ and 1, the radius $R_0 = \ell/\theta$ at the base of the flow is plotted as a function of the non-thermal efficiency f_{Nth} . The corresponding thermal efficiency f_{th} is also shown (top x-axis). *Bottom:* for a given magnetisation $\sigma = 10^{-1}, 10^{-0.5}, 1, 10^{0.5}, 10^1, 10^{1.5},$ and 10^2 at the end of acceleration phase, the Lorentz factor of the flow is plotted as a function of f_{Nth} (the unmagnetised case $\sigma = 0$ cannot be distinguished from the case $\sigma = 0.1$). Sets of parameters representative of the different classes of scenarios discussed in the paper are indicated: F ($\epsilon_{th} = 1, \sigma = 0$) (standard fireball), M,is₁ ($\log \epsilon_{th} = -0.5, \sigma = 0$) and M,is₂ ($\log \epsilon_{th} = -1.5, \sigma = 0$) (efficient magnetic acceleration: magnetisation is low above the photosphere and the dominant non-thermal mechanism is internal shocks), M,rec₁ ($\log \epsilon_{th} = -0.5, \sigma = 10$), and M,rec₂ ($\log \epsilon_{th} = -1.5, \sigma = 10$) (magnetised flow at large distance, the dominant non-thermal mechanism is magnetic reconnection). The initial radius is fixed to $R_0 = 300$ km, a typical value for long GRBs. The observational data (thermal flux, temperature, ratio of the thermal over the total flux) used for the calculation (see text) are taken from [Abdo et al. \(2009\)](#); [Pe'er et al. \(2012\)](#) for GRB 090902B (*left column*), and from [Guiriec et al. \(2011\)](#) for GRB 100724B (*right column*).

09092B: $\epsilon_{th} > 0.3 - 0.5$

100724B: is or rec with low $\epsilon_{th} < 0.1$

Exemple 3: Lorentz factor from the peak of the optical afterglow

- Model dependent: standard afterglow model (forward external shock) with some assumptions (efficiency of the prompt emission, ambient density, ...)

peak = deceleration time $T_p \simeq T_{\text{dec}} \simeq \frac{R_{\text{dec}}}{2\Gamma_{\text{bw}}^2 c}$. (OK if $T_p \gg T_\gamma$: NR RS)

- Early afterglow with a detection of the peak: blast wave Lorentz factor

$$\Gamma_{\text{bw}} = \left[\frac{3-s}{32\pi c^5} \frac{1-\eta}{\eta} \frac{E_\gamma}{\rho_{\text{dec}} T_p^3} \right]^{1/8}$$

see e.g. Molinari, Vergani et al. 2007, Ghirlanda et al. 2012

- Upper limit on the peak time: lower limit on the Lorentz factor
- With a rich data set starting early, a full AG modelling is possible: constraints on Lorentz factor, density, prompt efficiency = a good science case for SVOM

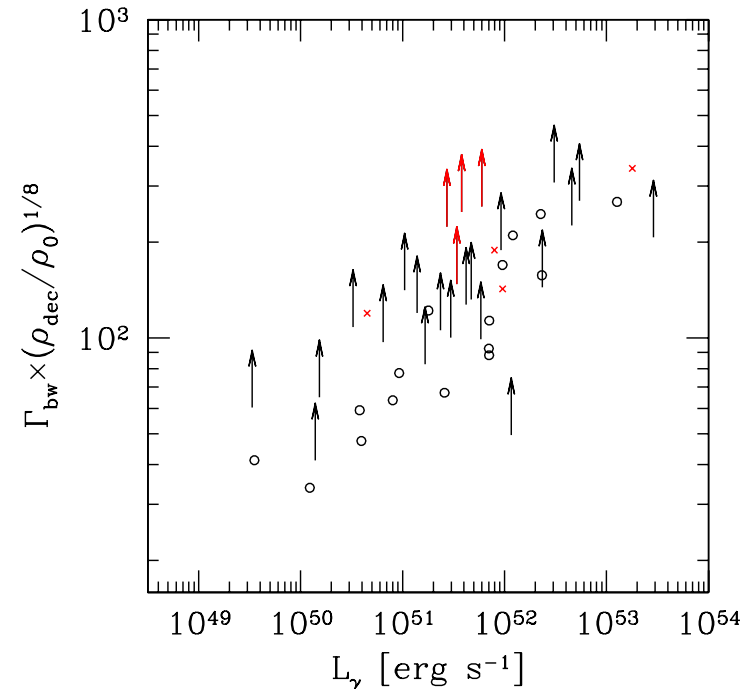


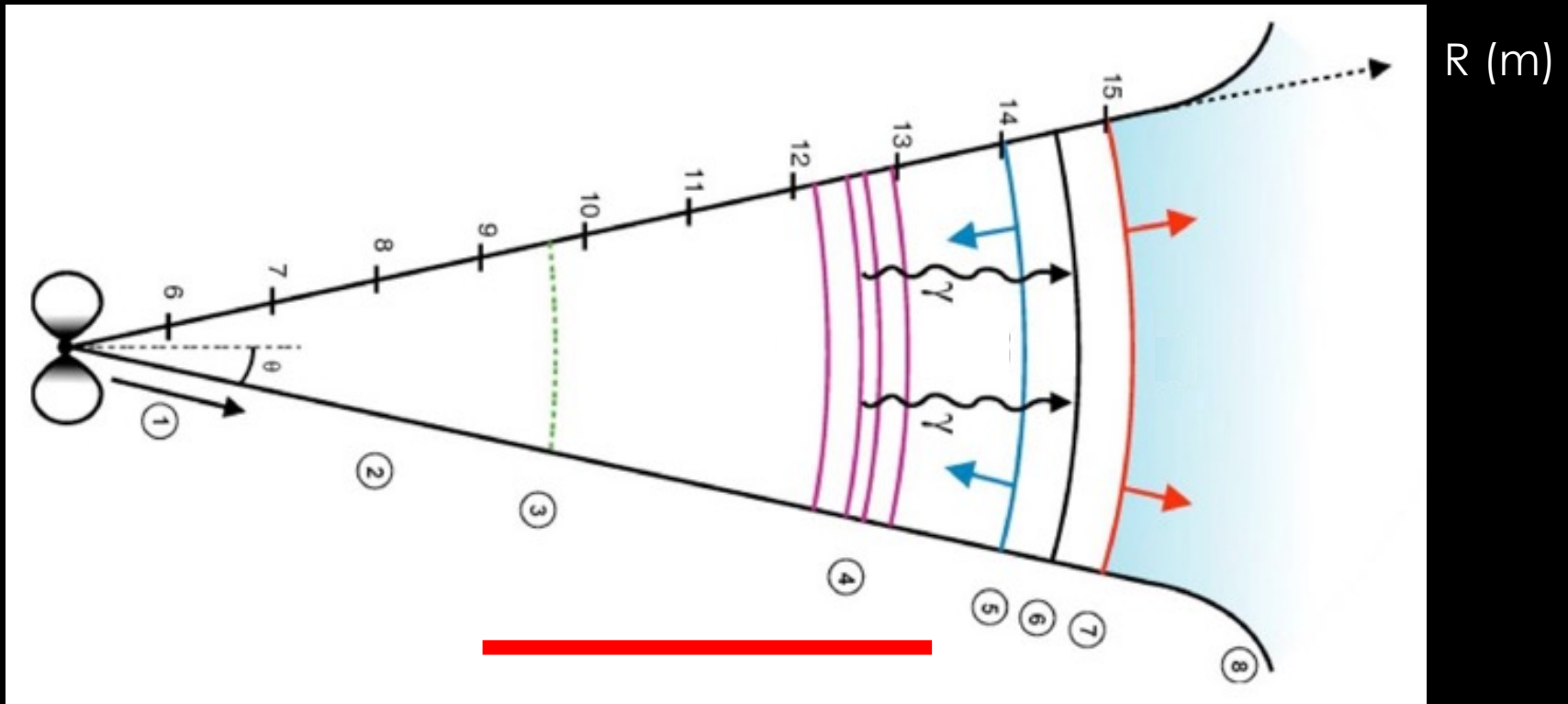
Figure 2. Estimated Lorentz factor of the GRB blast wave, Γ_{bw} , at the deceleration radius. The product $\Gamma_{\text{bw}} \rho_{\text{dec}}^{1/8}$ is estimated using Equation (5) (with $\eta = 0.5$) and shown vs. the burst luminosity L_γ (Equation (2)). The ambient density at the deceleration radius, ρ_{dec} , is normalized to $\rho_0/m_p = 1 \text{ cm}^{-3}$. Bursts with $T_p < T_\gamma$ are highlighted in red; for these bursts the ejecta Lorentz factor Γ can be substantially higher than Γ_{bw} (see text). (A color version of this figure is available in the online journal.)

A word of caution:

- **These diagnostics are never 100% model-independent**
- **Lower limit on the Lorentz factor from gamma gamma: robust**
- **Measurement of the Lorentz factor from the HE cutoff: less robust**
(e.g. the cutoff could be some curvature due to the natural shape of the HE component)
- **Constrain on the initial thermal content of the ejecta: partially model dependent**
(valid only in scenarios with a non-dissipative photosphere)
- **Measurement of the Lorentz factor from the peak of the early visible afterglow**
(standard afterglow model + some assumptions on the prompt efficiency, the external density)

Prompt emission

Observed short timescale/non-evolving variability in GRB lightcurves imply an internal dissipation in the ejecta (Sari & Piran 1997a,b).



Internal dissipation / radiation processes:

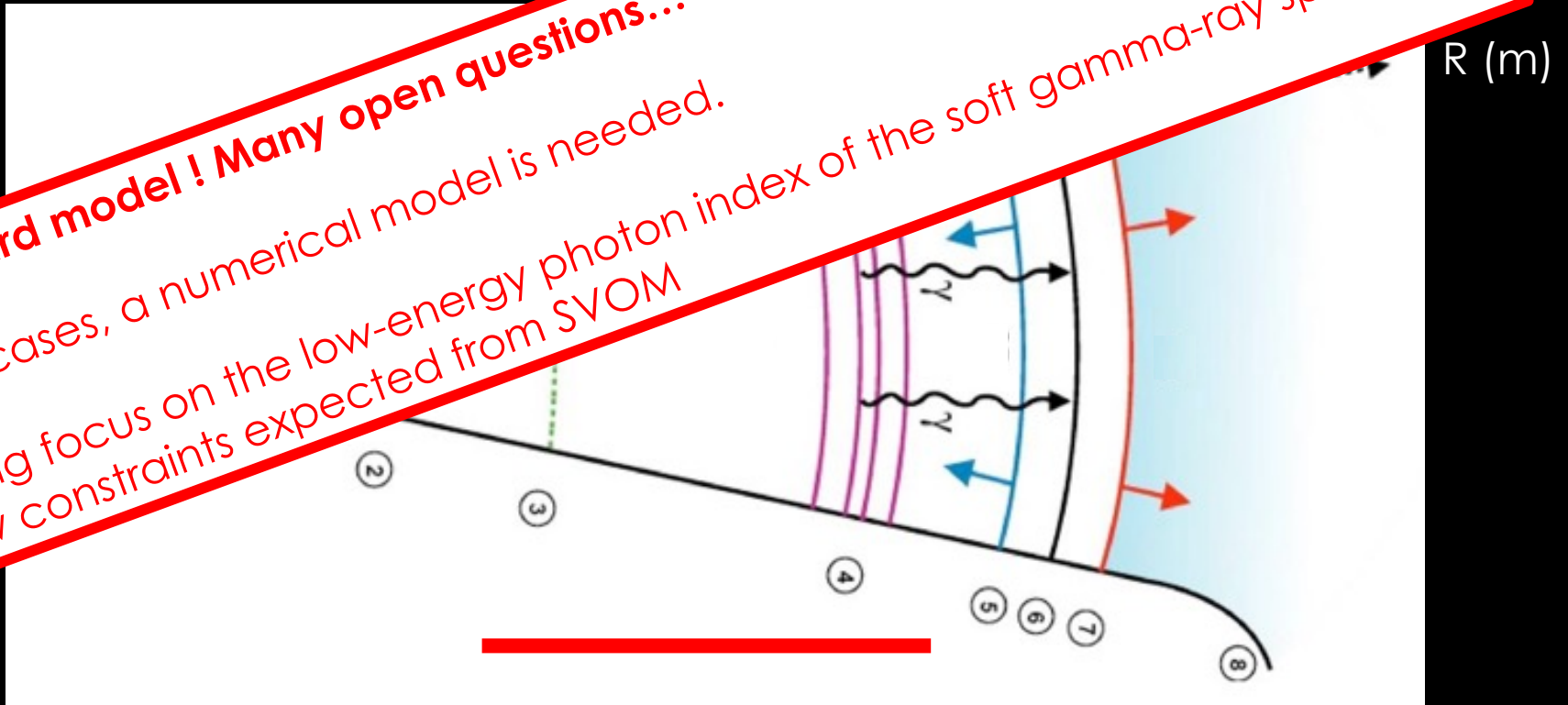
- (Dissipative) Photosphere? (thermal + comptonization)
- Internal shocks? (synchrotron + IC)
- Reconnection? (synchrotron + IC)

Prompt emission

Observed short timescale/non-evolving variability in GRB prompt emission
internal dissipation in the ejecta (Sari & Piran 1999)

No standard model! Many open questions...
In most cases, a numerical model is needed.

A strong focus on the low-energy photon index of the soft gamma-ray spectrum
= new constraints expected from SVOM

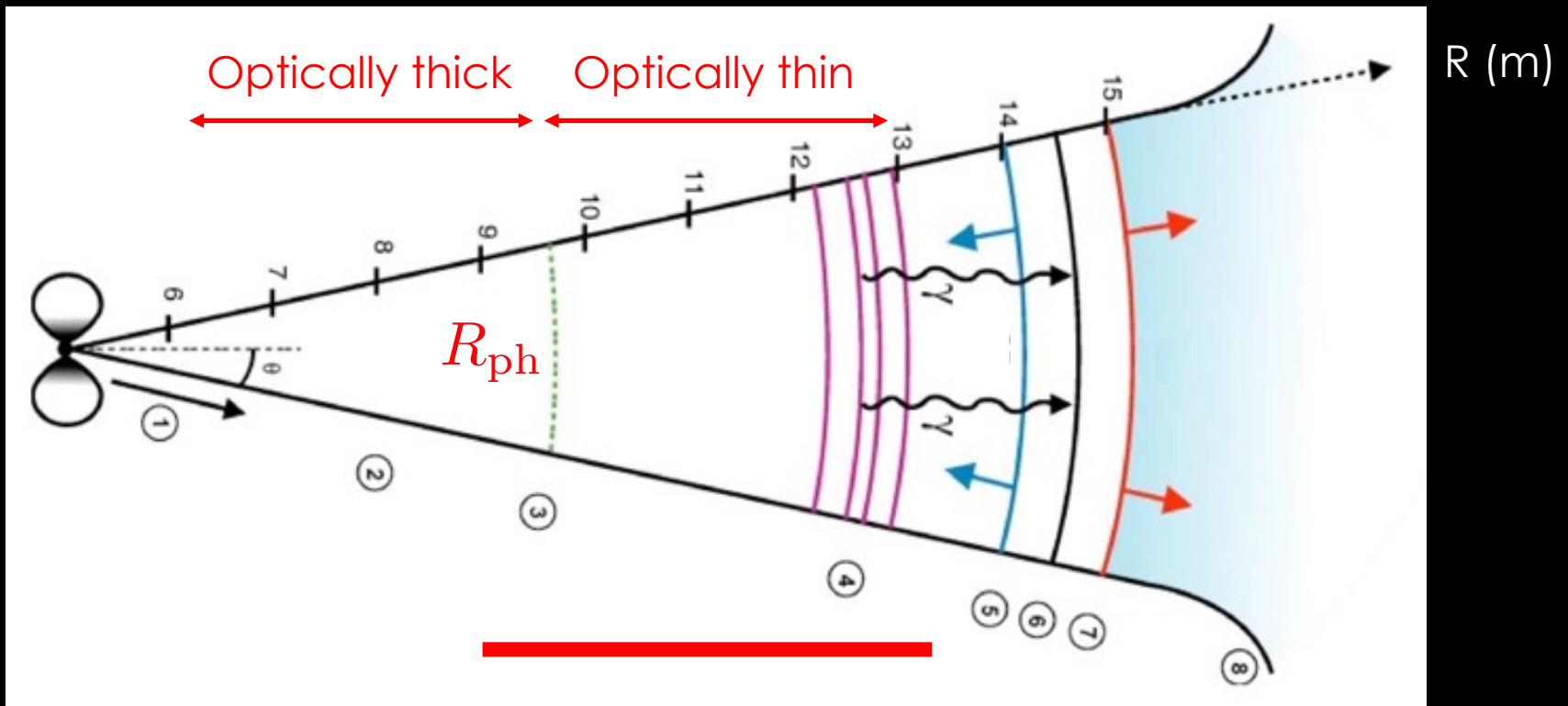


Internal dissipation / radiation processes:

- (Dissipative) Photosphere? (thermal + comptonization)
- Internal shocks? (synchrotron + IC)
- Reconnection? (synchrotron + IC)

Photosphere

At the photospheric radius, the ejecta becomes transparent to its own radiation.

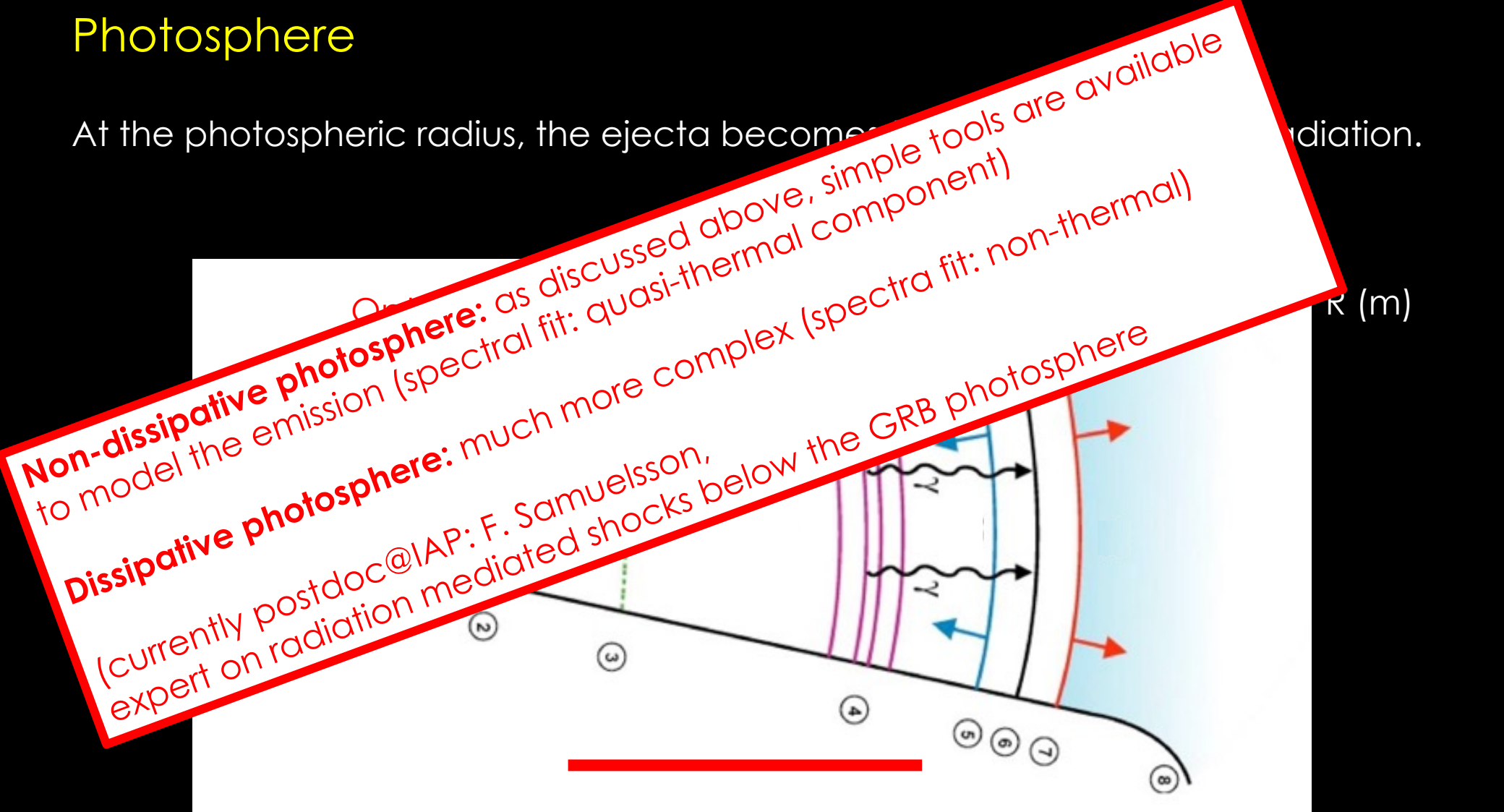


Photospheric emission:

- non-dissipative photosphere: thermal (Paczynski, Peer, Beloborodov, ...)
 - dissipative photosphere: non-thermal (Rees & Meszaros, Beloborodov, ...)
- dissipation? shocks (radiation mediated shocks, see e.g. Samuelsson), reconnection (see e.g. Giannios), other?

Photosphere

At the photospheric radius, the ejecta becomes optically thin to its own radiation.



Photospheric emission:

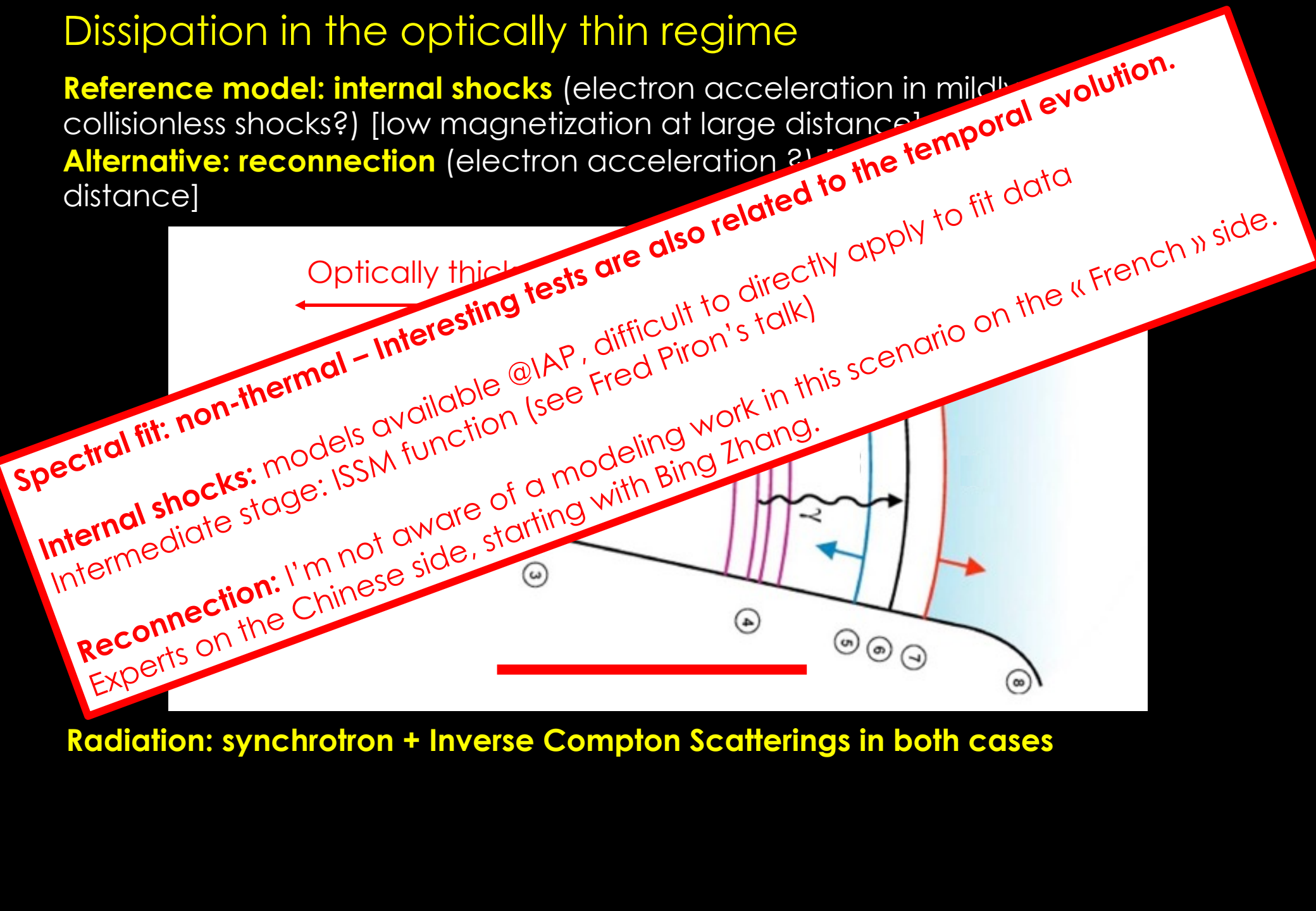
- non-dissipative photosphere: thermal (Paczynski, Peer, Beloborodov, ...)
 - dissipative photosphere: non-thermal (Rees & Meszaros, Beloborodov, ...)
- dissipation? shocks (radiation mediated shocks, see e.g. Samuelsson), reconnection (see e.g. Giannios), other?

Dissipation in the optically thin regime

Reference model: internal shocks (electron acceleration in mildly collisionless shocks?) [low magnetization at large distance]

Alternative: reconnection (electron acceleration?) [at large distance]

← Optically thin



Spectral fit: non-thermal – Interesting tests are also related to the temporal evolution.

Internal shocks: models available @IAP, difficult to directly apply to fit data

Intermediate stage: ISSM function (see Fred Piron's talk)

Reconnection: I'm not aware of a modeling work in this scenario on the « French » side. Experts on the Chinese side, starting with Bing Zhang.

Radiation: synchrotron + Inverse Compton Scatterings in both cases

Just an example: modelling the synchrotron
spectrum in the optically thin regime

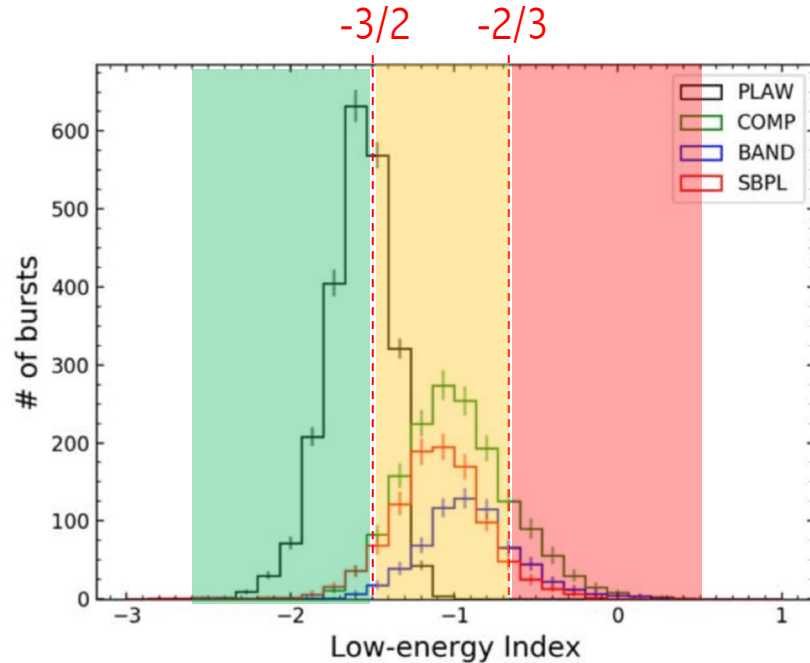
= the dominant process expected above the photosphere
(standard prediction in fast cooling regime: $\alpha = -3/2$)

Band function

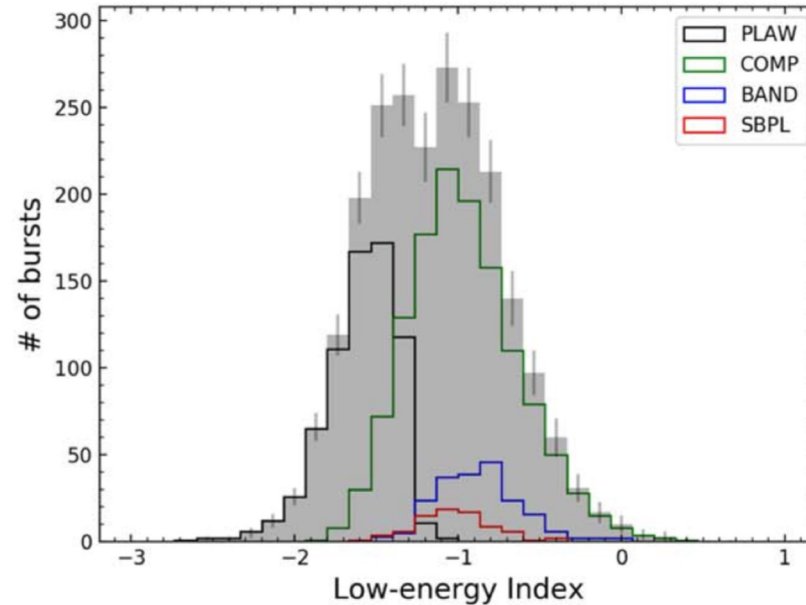
■ Fermi/GBM spectral catalog:

(10 years: Poolakkil et al. 2021)

- 2297 GRBs
- Time-integrated spectra / Spectrum at peak flux
- Low-energy photon index:



« GOOD » sample:

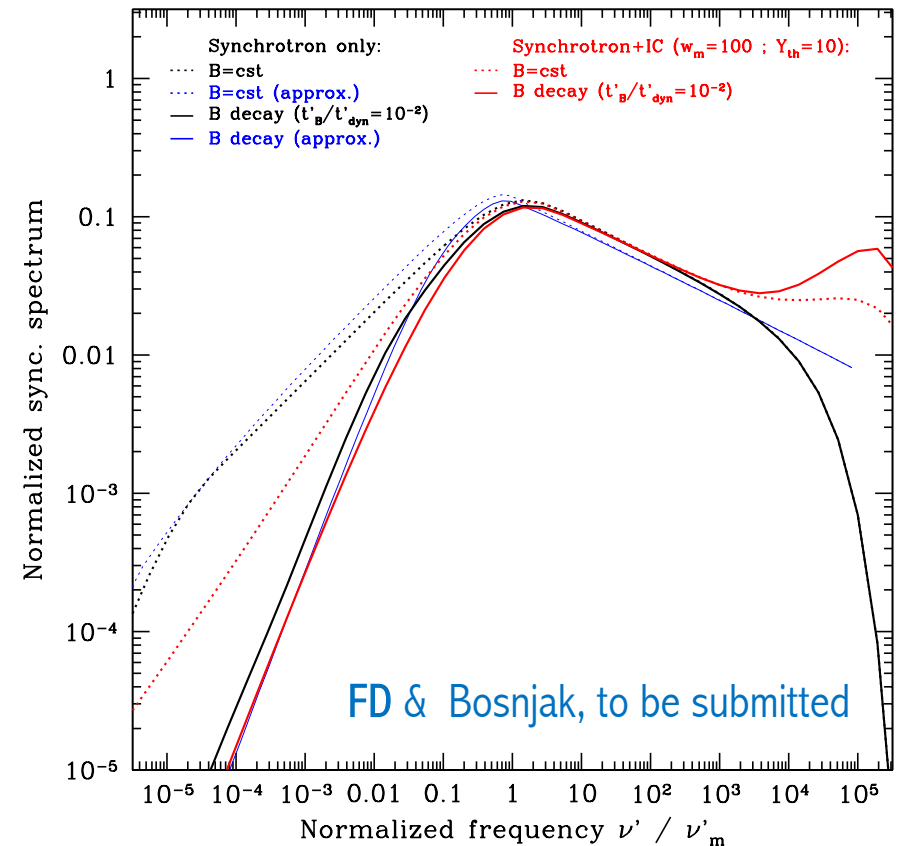


« BEST » sample

■ Robustness of the spectral analysis: see Fred Piron's presentation...

Effects of SSC and of a B decay on syn+SSC radiation

- Low-energy photon index of the synchrotron spectrum:
 - SSC in Klein-Nishina regime:
 $\alpha = -3/2$ to -1
 - B decay on an intermediate scale between the electron radiative timescale and the dynamical timescale: $\alpha = -3/2$ to $-2/3$



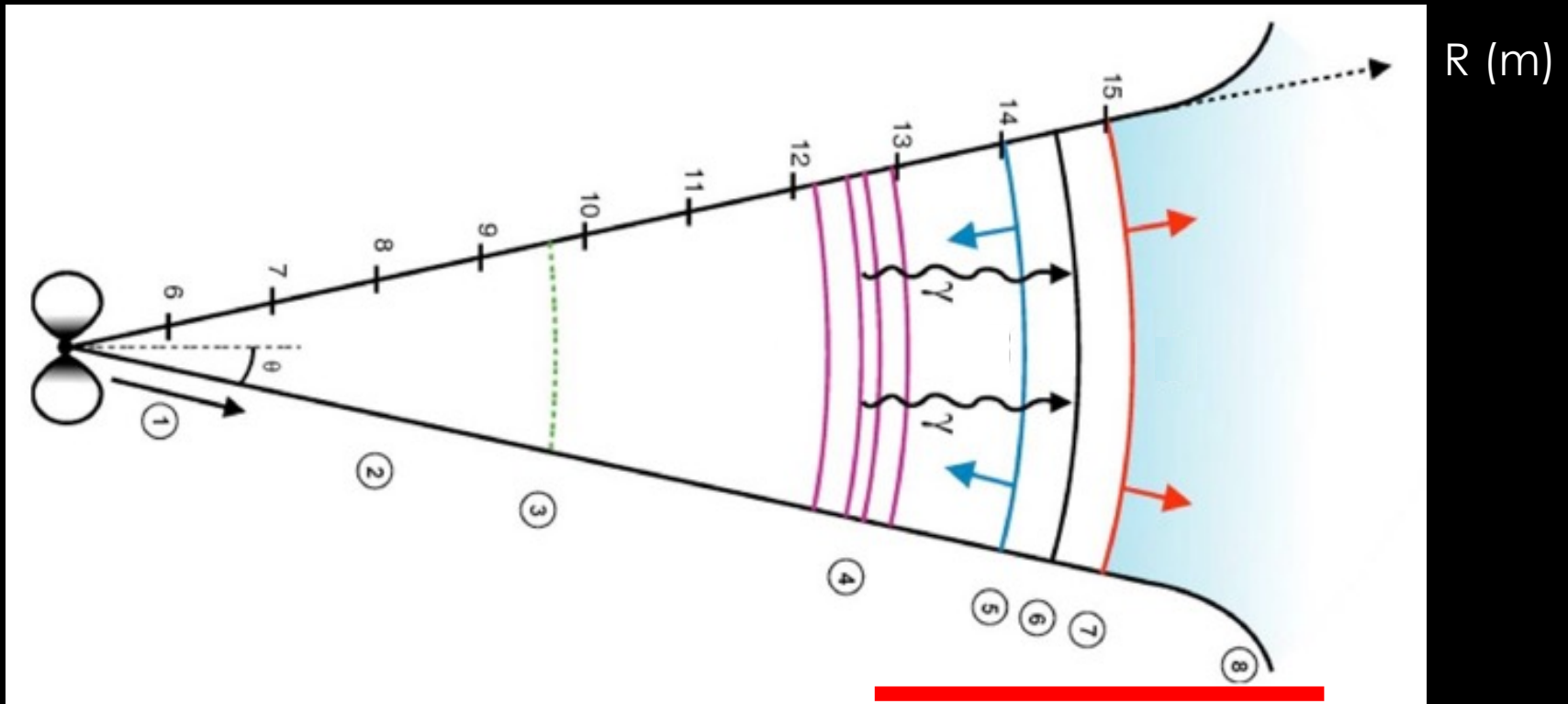
Full modelling: coupling the radiative model to the dynamics of the ejecta

Much more complex: not shown here. Advantage: spectral and temporal properties.

- IAP: tools available for internal shocks, can not be used to directly fit data (too heavy)
= intermediate step = ISSM, see Fred Piron's presentation
- IAP: towards a hybrid model, with internal shocks starting below the photosphere (radiation mediated shocks) and still propagating above it (standard internal shocks): long term project with Filip Samuelsson.
- Reconnection models: Bing Zhang et al.
- Shock breakouts? (may be useful to study low-L/soft GRBs)
- Other models?

Afterglow

The afterglow is associated to the deceleration of the relativistic ejecta by the external medium. (Rees & Meszaros, Piran & Sari, ...)



- Ultra-relativistic forward shock in the external medium (electron acceleration in UR collisionless shocks?)
- Low magnetization: reverse shock in the ejecta (NR / UR)
- Synchrotron + Inverse Compton scatterings

Afterglow

The afterglow is associated to the deceleration of the γ rays in the external medium. (Rees & Meszaros, Piran & Sari)

- **« Standard » model:** synchrotron radiation from shock-accelerated electrons at the forward external shock.
- Simple analytical implementations are available (« closure relations »).
- Public codes are available, e.g. afterglowpy (useable for data fitting)
- Clement Pellouin's PhD work at IAP: numerical model with syn+SSC (useable for data fitting)

Still many open issues, especially related to the modeling of the early afterglow (chromatic breaks, plateaus, flares, etc.).

- Many scenarios are discussed, some can have simple analytical implementation (e.g. late energy injection for plateaus), some need a complex modeling.
- Some groups in the French side have developed models for some scenarios.

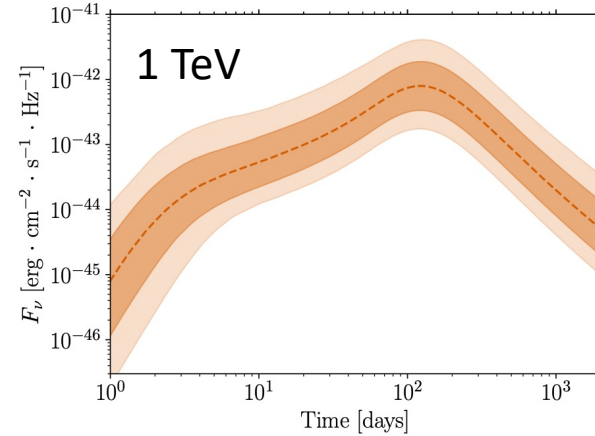
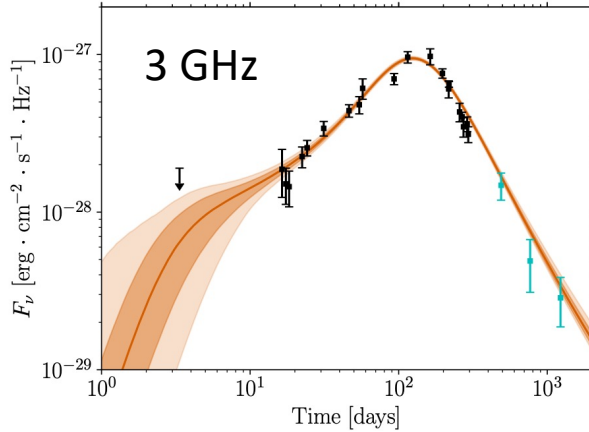
- ... shock in the external medium (electron collisionless shocks?)
- ... : reverse shock in the ejecta (NR / UR)
- ... + Inverse Compton scatterings

Data fitting with the forward external shock model

An exemple of an afterglow fit: GW170817

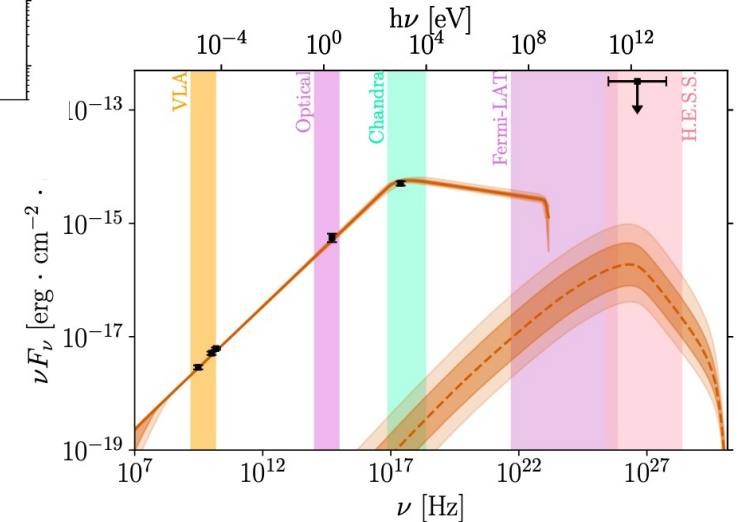
(structured jet,
FS: syn+SSC)

Lightcurve:



Pellouin & Daigne, submitted

Spectrum at the peak:



Posterior distribution on model parameters not shown here:
should always be checked (for instance when using afterglowpy).
One can find a good fit with strange parameters: says probably something
(note the case here!).

Code still under development:

- synchrotron self-absorption
- reverse shock
- etc.

Fig. 9. Posterior distribution of the afterglow spectrum around its peak ($t_{\text{obs}} = 110$ days) for the "SSC (with KN)" fit of the afterglow of GW 170817. Data points show the multi-wavelength observations at $t_{\text{obs}} \pm 4$ days. The upper limit from *H.E.S.S.* is also indicated (Abdalla et al. 2020). The low-energy component (solid line) is produced by synchrotron radiation, while the high-energy emission (dashed line) is powered by SSC diffusions. Thick lines represent the median value at each observing frequency, dark contours the 68% confidence interval and light contours the 97.5% confidence interval. Some instrument observing spectral ranges are shown in colors.

One word on population models

- Expertise available: Jesse Palmerio's PhD work (Palmerio & Daigne 2021)
- **Population is described in terms of rate(z), luminosity function, etc.**
- **Main difficulties: correcting for selection effects.**
= building a large & complete sample (e.g. flux-limited) to apply the model
- Including the afterglow in the model is complex.
- Present status:
Long GRBs: OK ; Short GRBs : more uncertain ; other kind of events ?

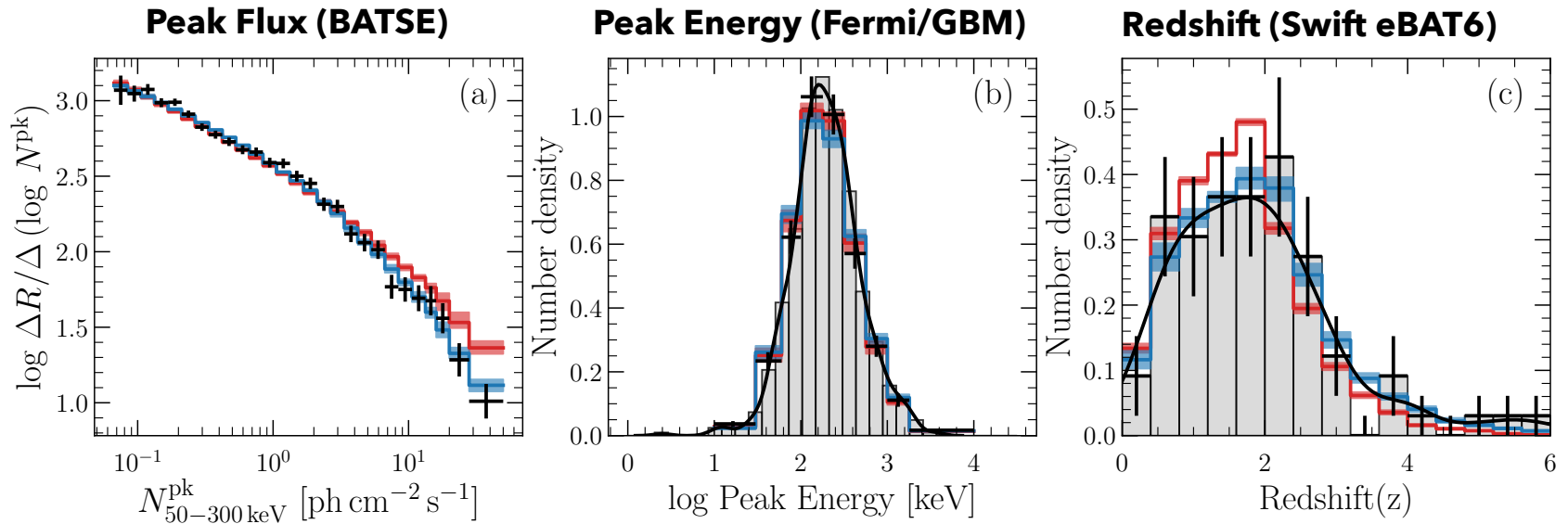
The example of the population of classical long GRBs

Long GRB Population Model

See also Ghirlanda & Salvaterra 2022

Constraints:

Palmerio & Daigne 2021



Red: model without evolution

Blue: model with evolution (here: comoving rate)

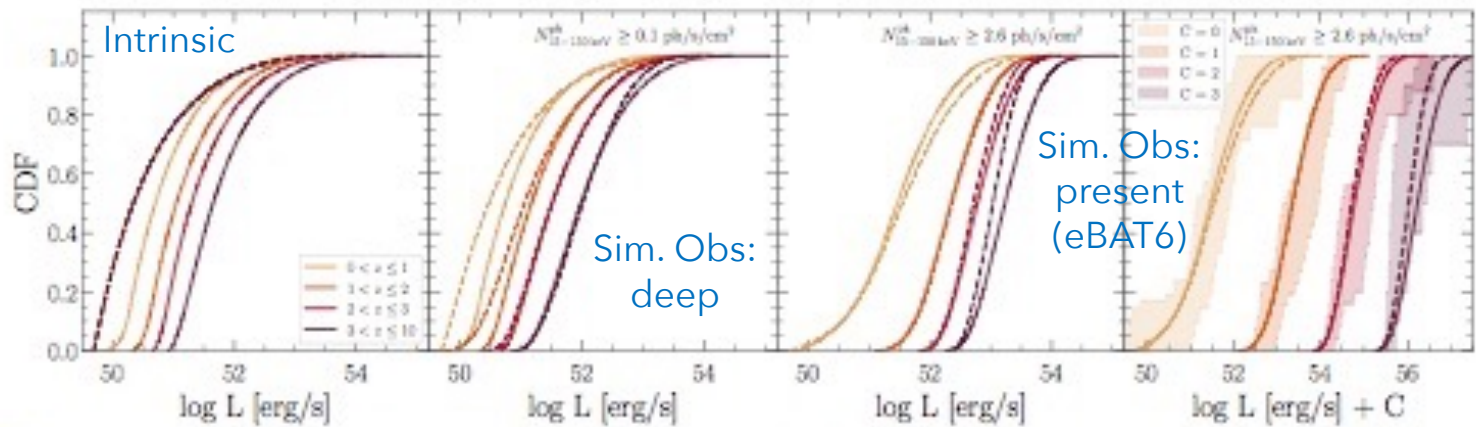
Here we use flux-limited samples to avoid the detailed modeling of the detection efficiency.

**Results: an evolution is needed (comoving rate and/or luminosity function)
= a constraint on progenitor models**

Long GRB Population Model

Distinguishing between rate and luminosity evolution?

Luminosity distribution in four redshift bins



Palmerio & Daigne 2021

Would need a sample allowing to build the luminosity distribution in a different redshift bins...

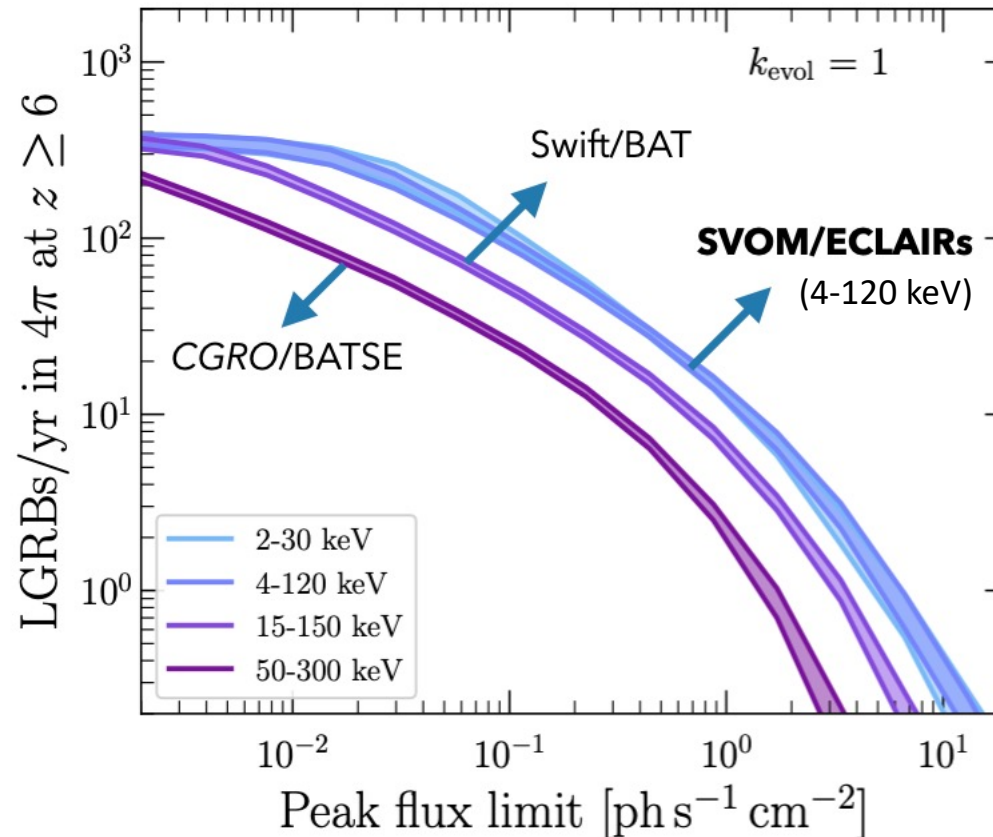
Long GRB Population Model

Prediction for high-z GRBs? Interest of low-energy threshold

Pop. model: all-sky rate above $z=6$ as a function of the peak flux limit

Effect of the energy channel on the detected rate:

Color: energy band
From 50-300 keV (violet)
to 2-30 keV (blue)



Questions, discussion?