

3rd year PhD CPPM seminar
LFV $\tau \rightarrow ell$ decays at Belle II

Arthur Thaller

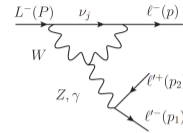
Aix Marseille Univ, CNRS/IN2P3, CPPM

November 27, 2023

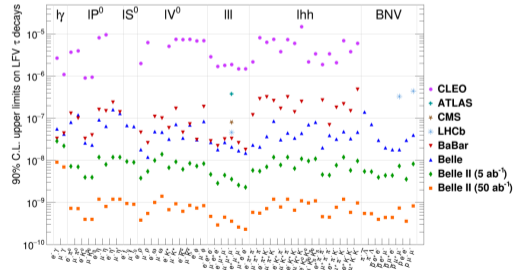


LFV and τ decays

- Lepton flavor is conserved in the SM (although "accidentally")
 - ▶ Except for neutrino oscillations
 - ▶ Typically for LFV lepton decays : $\mathcal{B}(LFV) \sim 10^{-50}$
- Anomalies in LFU measurement can imply LFV at detectable levels
- Many new physics models predict LFV τ decays around $10^{-8} - 10^{-10} \rightarrow$ in Belle II's reach !
- τ decays are a good place to look for LFV, since τ is the heaviest lepton

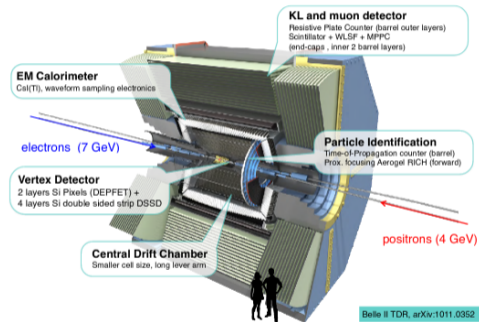


SM diagram for LFV



Belle II

- e^+e^- collider, 10.58 GeV $\rightarrow \Upsilon(4S)$ resonance
 \rightarrow B-factory
- Record instantaneous luminosity
 $4.7 \times 10^{34} \text{ cm}^{-2} \text{ s}^{-1}$
- Current dataset : 424 fb^{-1} (on-resonance + off-resonance)
- Clean environment, collision energy is well known
- Hermetic detector \rightarrow good missing energy resolution
- τ pair production cross section is quite high (0.92 nb) w.r.t B meson production
 - ▶ ~ 400 million τ pairs already produced $\rightarrow \tau$ -factory !



$\tau \rightarrow ell$

- $\tau^\pm \rightarrow e^\pm \ell^\mp \ell^\pm + cc, l = e, \mu$
- 5 modes : $e^+ e^- e^+, e^+ e^- \mu^+, e^+ \mu^- e^+, \mu^+ e^- \mu^+, \mu^+ \mu^- e^+$
- $\tau^+ \rightarrow \mu^+ \mu^- \mu^+$: Analysis done by Robin Leboucher
- Using full LS1 dataset : 424 fb^{-1}
 - ▶ Off-resonance $\tau\bar{\tau}$ production cross section is extremely close to on-resonance : $\sigma_{\tau\bar{\tau}} = 0.919 * \left(\frac{10.58}{E_{\text{off-res}}}\right)^2 \text{ nb}$

Quantity to be measured :

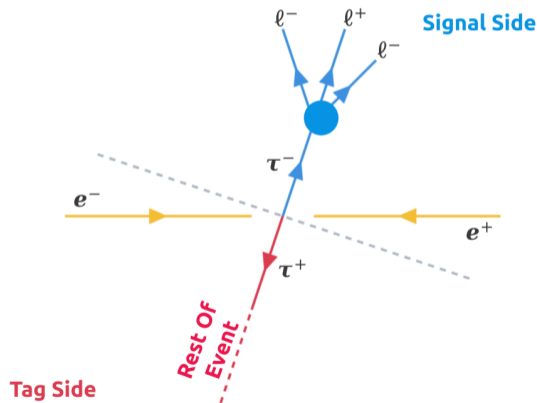
$$\mathcal{B}(\tau \rightarrow ell) = \frac{N_{\text{sig}}^{\text{obs}}}{\mathcal{L} \times 2\sigma_{\tau\bar{\tau}} \times \epsilon_{\text{sig}}}$$

Belle results at 782 fb^{-1}

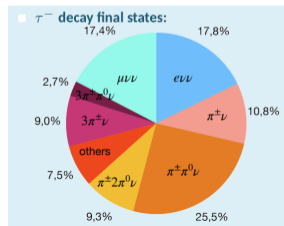
Mode	ϵ (%)	N_{BG}	σ_{syst} (%)	N_{obs}	$\mathcal{B}(\times 10^{-8})$
$\tau^- \rightarrow e^- e^+ e^-$	6.0	0.21 ± 0.15	9.8	0	< 2.7
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$\tau^- \rightarrow \mu^+ e^- e^-$	11.5	0.01 ± 0.01	7.7	0	< 1.5

Untagged analysis

We perform an untagged analysis : we don't explicitly reconstruct the other τ , instead we use information from the Rest of Event (ROE) : energy, clusters, particle content...



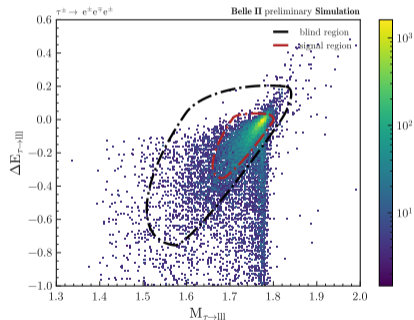
- 1-prong (+ neutrals) τ decays : $\tau \rightarrow \pi\nu$, $\tau \rightarrow l\nu\nu \sim 80\%$
- Add 3-prong : $\tau \rightarrow 3\pi\nu$
- 30% gain in signal efficiency w.r.t. tagged (1-prong tag) analysis (Belle and BaBar)
- More background also reconstructed



Event selection

- Require that all tracks come from the IP
- Leptons : apply loose selection on the leptons particle identification variables (PID) for each mass hypothesis
 - ▶ muon : muonID > 0.5
 - ▶ electron : electronID > 0.5
- Use thrust to define 2 hemispheres : plane orthogonal to thrust axis separates the events in 2 halves
 - ▶ $T = \max_{n_T} \left(\frac{\sum_i |p_i \cdot n_T|}{\sum_i |p_i|} \right)$
- Require that the 3 leptons are on the same side of the event, and that everything else is on the other side
 - ▶ Additional photons, clusters, tracks...

- Use $(\Delta E_{3\ell}, M_{3\ell})$ plane to define signal region and reduce background ($\Delta E = \frac{E_{beam}}{2} - E_{3\ell}$)
- Get signal region by fitting $\Delta E_{3\ell}$ and $M_{3\ell}$ distributions with asymmetric gaussians.



Signal distribution in $(\Delta E_{3\ell}, M_{3\ell})$ for $\tau^+ \rightarrow e^+ e^- e^+$

Background composition

Various background sources after event selection, depending on the mode :

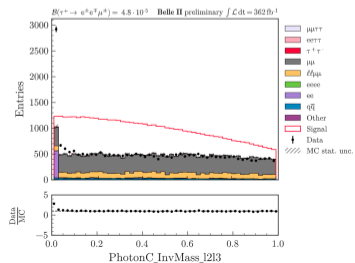
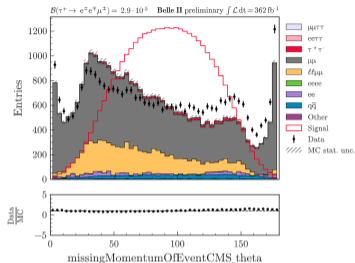
- $q\bar{q}$: light quark pair ($q = u, d, c, s$)
- QED backgrounds : 2ℓ and 4ℓ events
- Mis-modeled contributions, radiative events with pair conversion and di-photons events

Background rejection is done mode by mode, first applying cut-based selection and further rejecting background using BDT.

- Due to presence of electrons : lot of background from QED processes.
- In principle these background contributions can be removed using physics considerations, mainly from the fact that there is no missing momentum
- However in the end, we achieve better sensitivity by using BDT classifier.

Background rejection

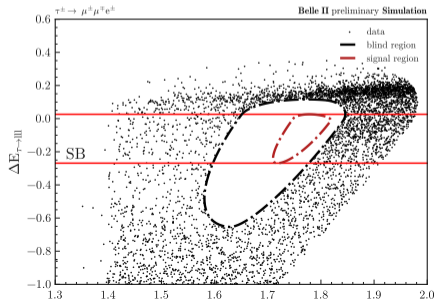
- Cut based preselection : target obvious peaking backgrounds and mismodeled contributions
 - ▶ Missing momentum aligned with the beam axis from di-photons
 - ▶ Low invariant mass of dilepton systems : radiative events with pair conversion
 - ▶ High thrust values : QED background
 - ▶ Refine PID selections : rank the same flavor lepton PID variables and cut tighter on the leading one.
 - require that one lepton of each flavor is clearly identified
- Remaining background : reject with BDT trained on data



BDT training

Train a BDT(one per mode) on data, using 2 training samples :

- Upper and lower region : data that survive previous cuts
- In sidebands and blinded ellipse : data that survives previous cuts, but with inverted PID requirements
- More training stat !
- Make sure there is no risk of signal
- We keep sidebands completely independant for final background estimation
- Control that BDT output does not depend on M_{τ}
- 31 input variables (kinematics, ROE, missing energy, event shape...)



BDT cut

Apply selection on the BDT output in order to maximize the

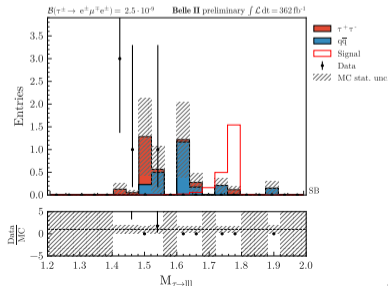
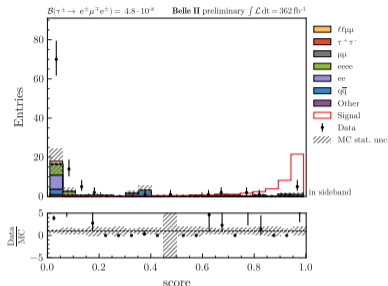
punzi f.o.m. : $\frac{\epsilon_{sig}}{\frac{3}{2} + \sqrt{N_{bg}}}$

- ϵ_{sig}, N_{bg} Signal efficiency and remaining background after BDT cut

After application of every selection :

	$e^+e^-e^+$	$e^+e^-\mu^+$	$e^+\mu^-e^+$	$\mu^+e^-\mu^+$	$\mu^+\mu^-e^+$
ϵ_{sig}	16.5%	18.2%	21.2%	22%	17.1%
N_{SB}	2	4	5	2	5

- ϵ_{sig} : Final signal efficiency in the signal region
- N_{SB} : Number of remaining events in the side bands



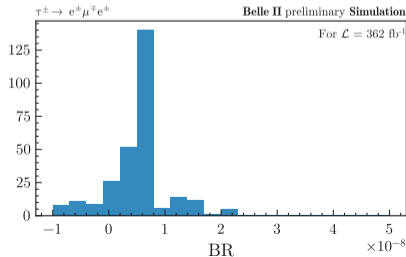
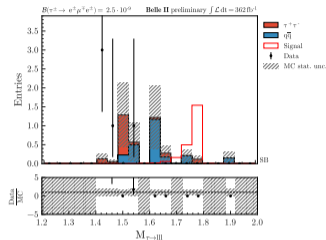
Background estimation and signal yield extraction

Fit the data in M_τ : $PDF_{tot} = N_{sig} \cdot PDF_{sig} + N_{bg} \cdot PDF_{bg}$

- PDF_{sig} : signal PDF, obtained from MC, most likely gaussian
- $PDF_{bg} = e^{c \cdot M_\tau}$: background PDF, obtained from data sidebands

Upper limit on the branching ratio can be estimated :

- Generate toys assuming background only
- Fit with PDF_{tot} , extract N_{sig}
 $\rightarrow \mathcal{B}(\tau \rightarrow ell) = \frac{N_{sig}}{\mathcal{L} \times 2\sigma_{\tau\bar{\tau}} \times \epsilon_{sig}}$
- From preliminary results : $\mathcal{B}_{UL}(\tau \rightarrow ell) \sim 2 \cdot 10^{-8}$



Conclusion

- $\tau \rightarrow e\ell\ell$ analysis, untagged method, which allows us to be competitive (better!) with Belle's result despite lower statistics
 - ▶ Also thanks to Belle II overall better performances
- Event selection and background rejection based on geometrical considerations, combination of cuts based approach and BDT
 - ▶ To overcome non simulated contamination, data-driven background rejection
- Signal extraction strategy needs to be finalized, systematics uncertainty need to be evaluated
 - uncertainty dominated by statistics
 - ▶ Data-driven background estimation
 - ▶ Fitting makes the analysis more robust against statistical fluctuations
- Objective is to be ready for Moriond, March 2024

Thanks for listening !

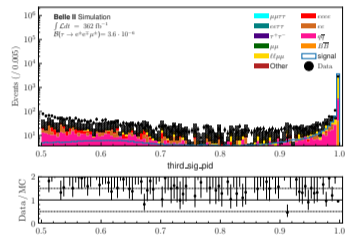
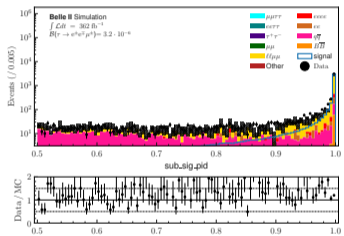
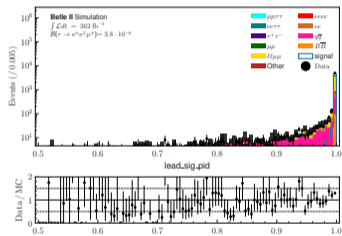
BACKUP

Belle numbers

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At 782 fb^{-1}

PID variables, $e^+e^- \mu^+$



Asymmetric error bars

Asymmetric error bars on data yields (“vanilla case”)

- after discussion at past tau meeting, we assign asymmetric uncertainties to yields in **data and MC**
 - before computed as symmetrical Poisson uncertainties \sqrt{n} , for N entries in bin_i
- adopt frequentist approach and find iteratively λ_1, λ_2 so that $P(n \leq N_{\text{bin}} | \lambda_1) \leq 0.16$ and $P(n \geq N_{\text{bin}} | \lambda_2) \leq 0.16$

Option 6: Frequentist approach

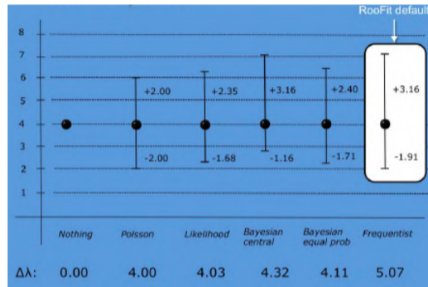
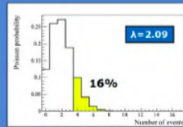
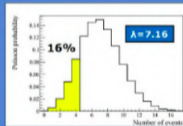
Find values of λ that are on border of being compatible with observed #events

If $\lambda > 7.16$ then probability to observe 4 events (or less) < 16%

Note: also uses ‘data you didn’t observe’, i.e. a bit like definition of significance

→ smallest λ ($>n$) for which $P(n \leq n_{\text{obs}} | \lambda) \leq 0.159$

→ largest λ ($<n$) for which $P(n \geq n_{\text{obs}} | \lambda) \leq 0.159$



- in each bin error bars are defined as:
 - $\text{err_stat_up} = \lambda_1 - N_{\text{bin}}$
 - $\text{err_stat_low} = N_{\text{bin}} - \lambda_2$

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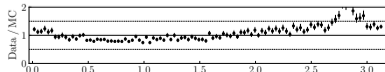
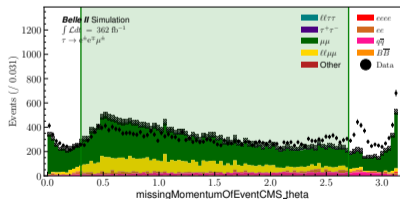
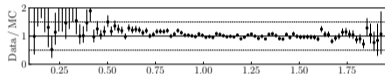
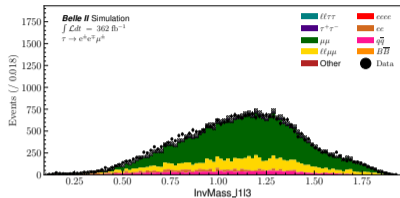
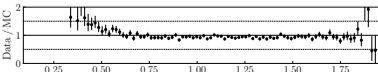
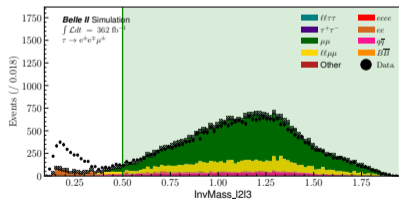
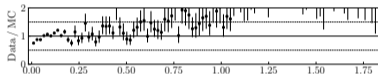
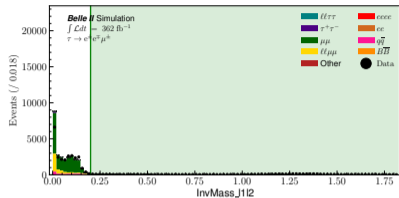
L.Zani - Marseille 2023.03.06 - Tau to lepton phi unboxing

BDT variables

```
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'tau_sig_dcosTheta', 'lead_sig_E',  
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'InvMass_l2l3', 'tau_sig_cosToThrust0fEvent',  
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'missingMomentumOfEvent', 'roeNeextramasktight',  
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'L1_sig_angleToMissing', 'cleoConeThrust_1',  
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'tau_sig_dphi', 'totalPhotonsEnergyOfEvent',  
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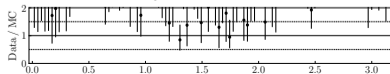
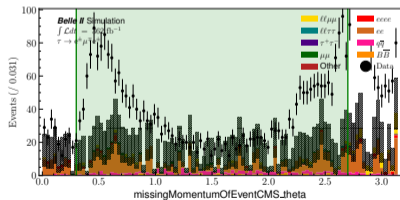
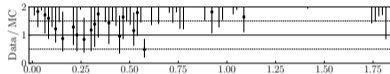
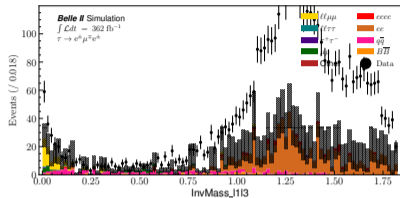
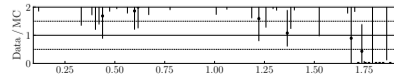
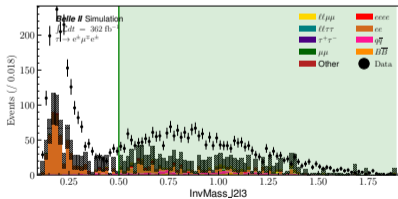
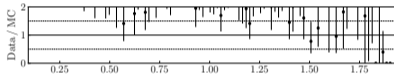
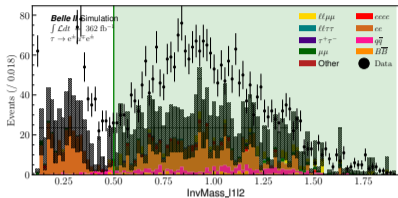
$e^+e^- \mu^+$ data-driven selection

Right after reconstruction :

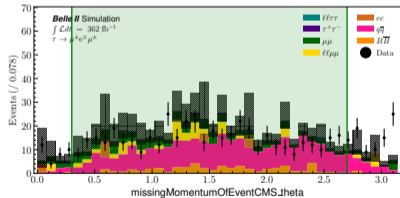
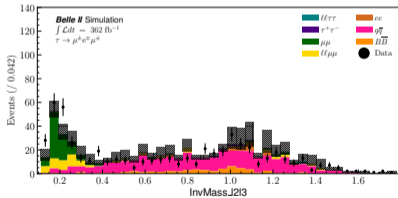
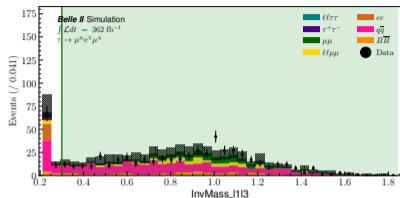
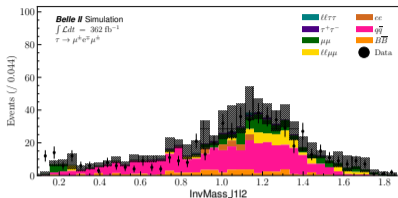


$e^+\mu^-e^+$ data-driven selection

Right after reconstruction :



$\mu^+ e^- \mu^+ +$ data-driven selection



$\mu^+ \mu^- e^+$ data-driven selection

Right after reconstruction :

