

Constraining gravity and dark energy models with growth rate measurement

Tyann Dumerchat



Big Bang Λ CDM cosmology

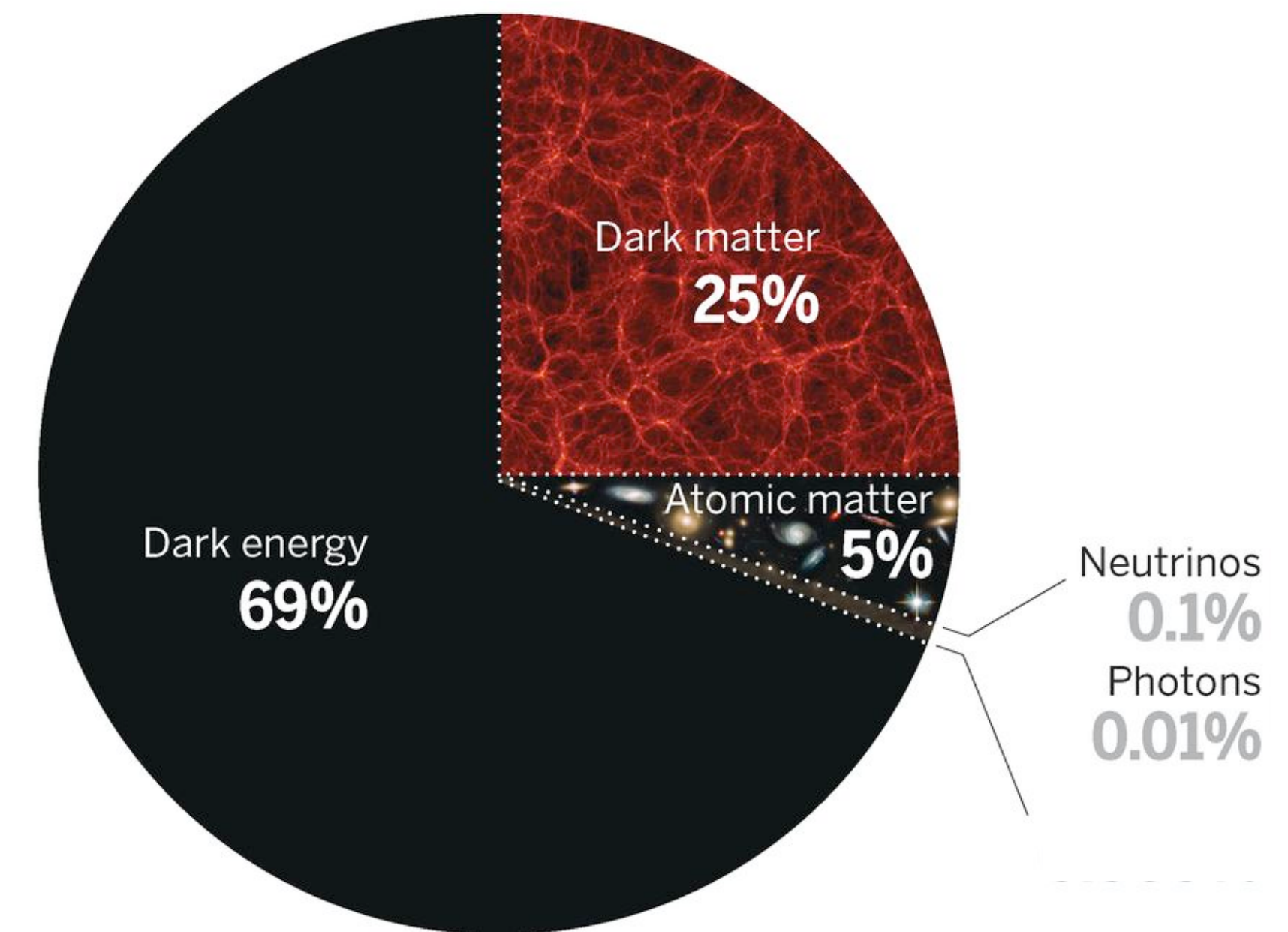
General relativity

$$G_{\mu\nu} = T_{\mu\nu}$$

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Universe content

ρ_γ ρ_ν

ρ_c ρ_b

ρ_Λ

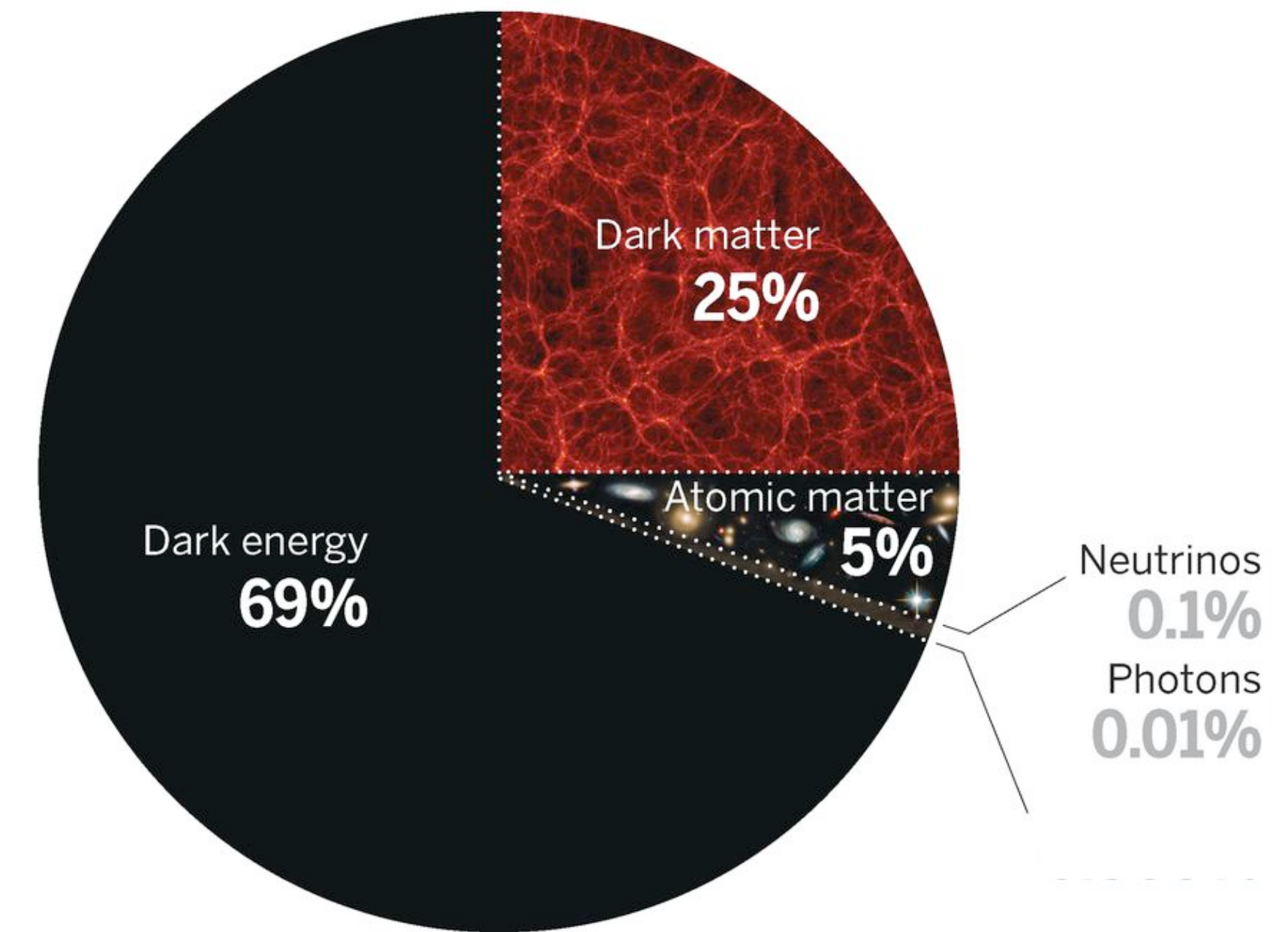
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FLRW metric:

- expansion
- homogeneity
- isotropy
- Flat ?

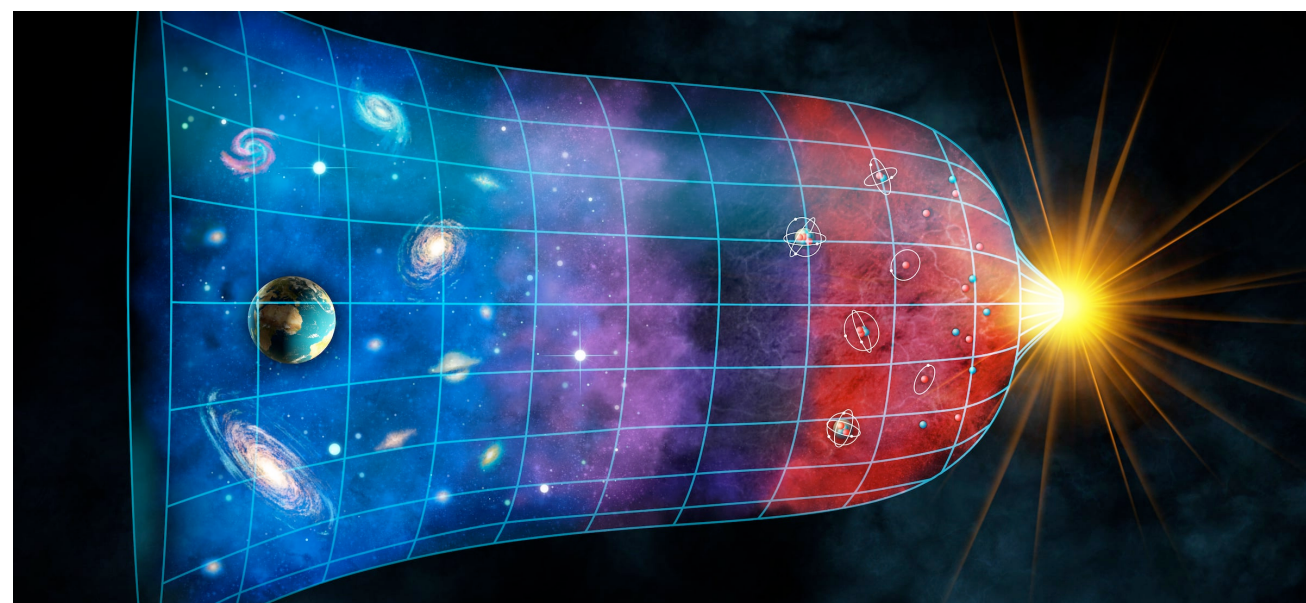


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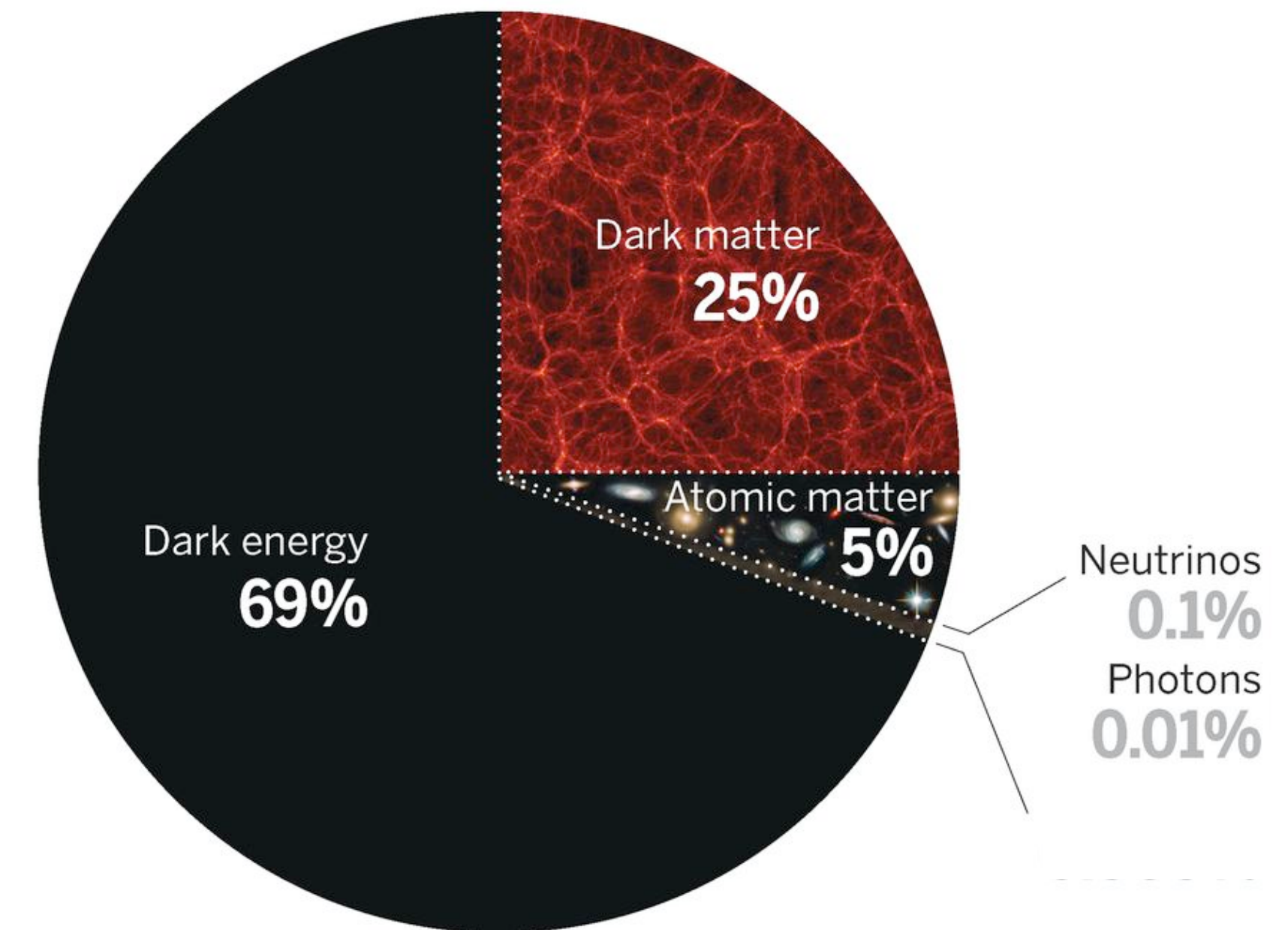
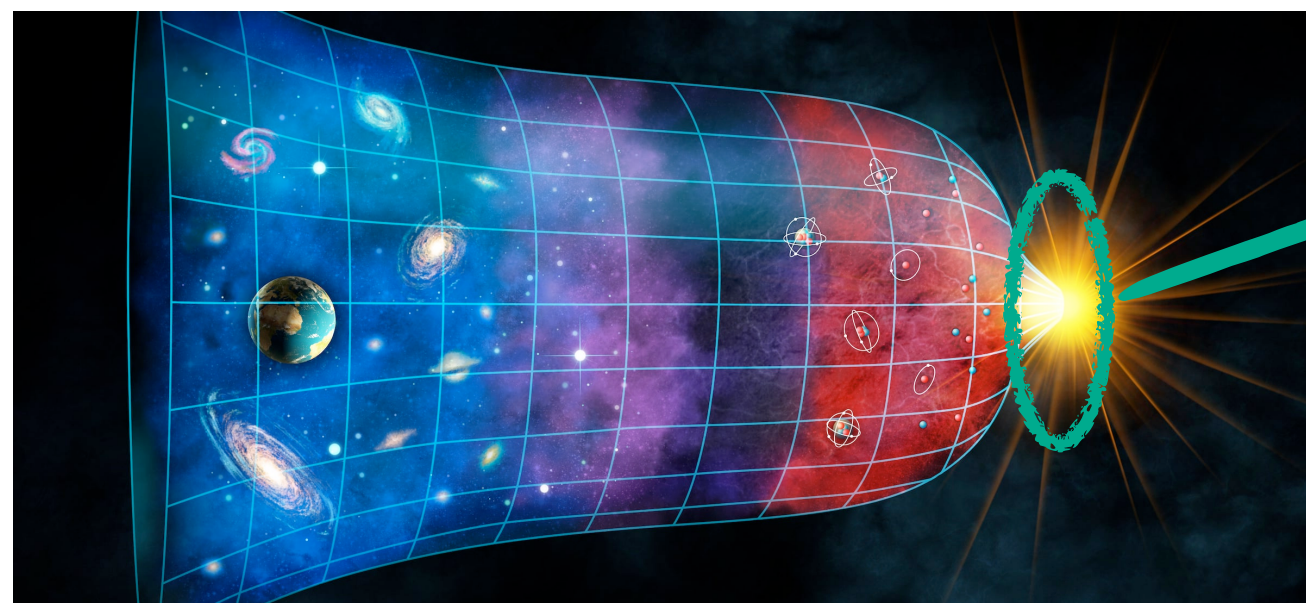
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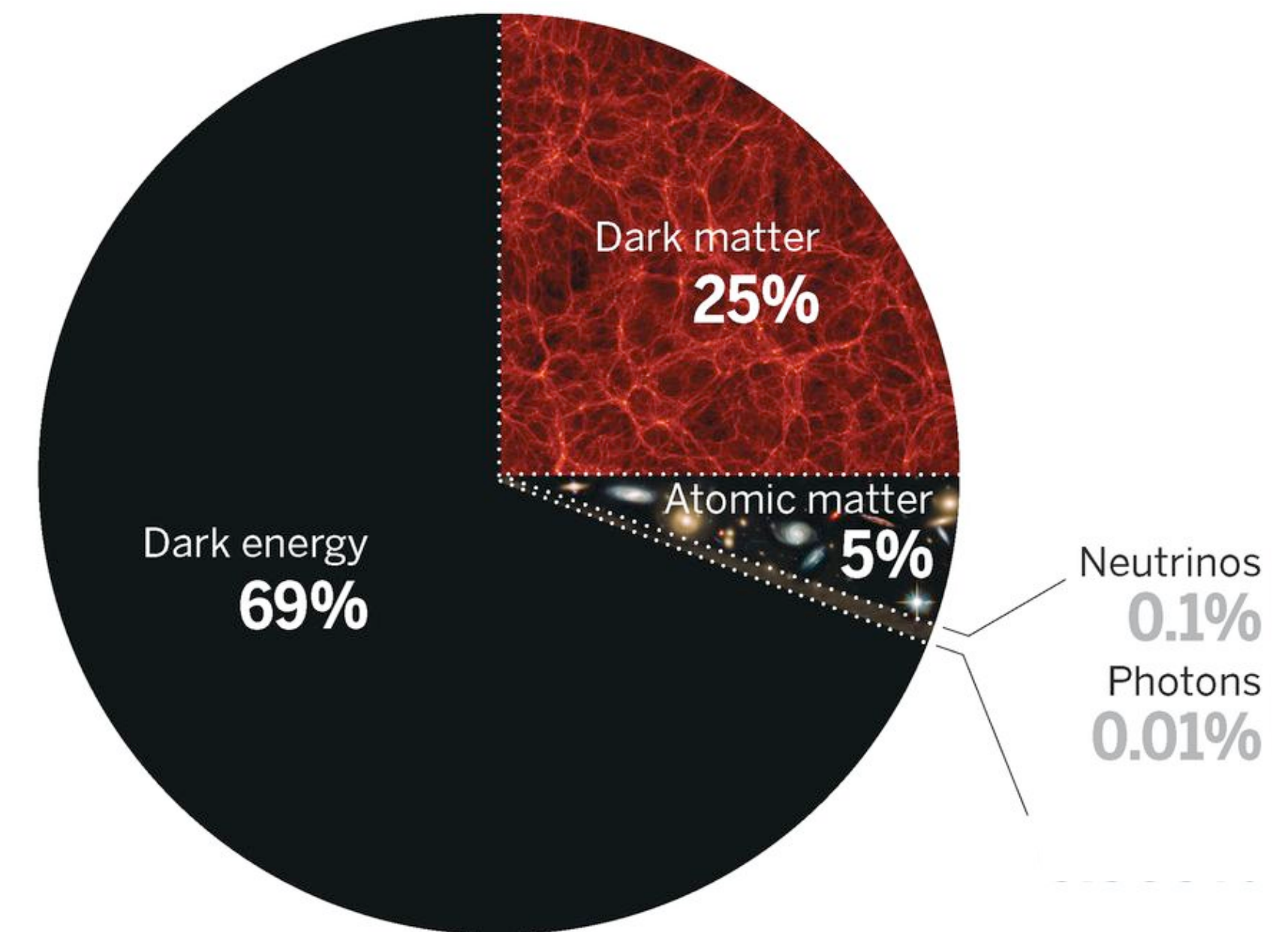
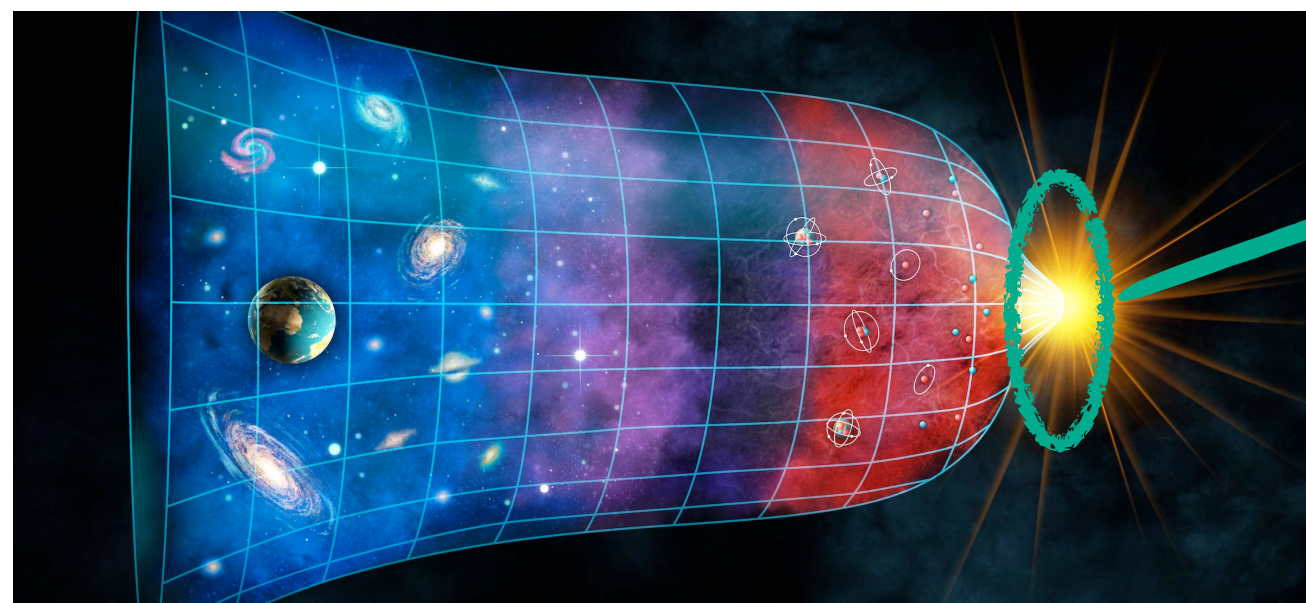
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$$[\Omega_k, H_0, \sigma_8, n_s, \Omega_m, \Omega_b, \Omega_r, w_0, w_a] = \Theta$$

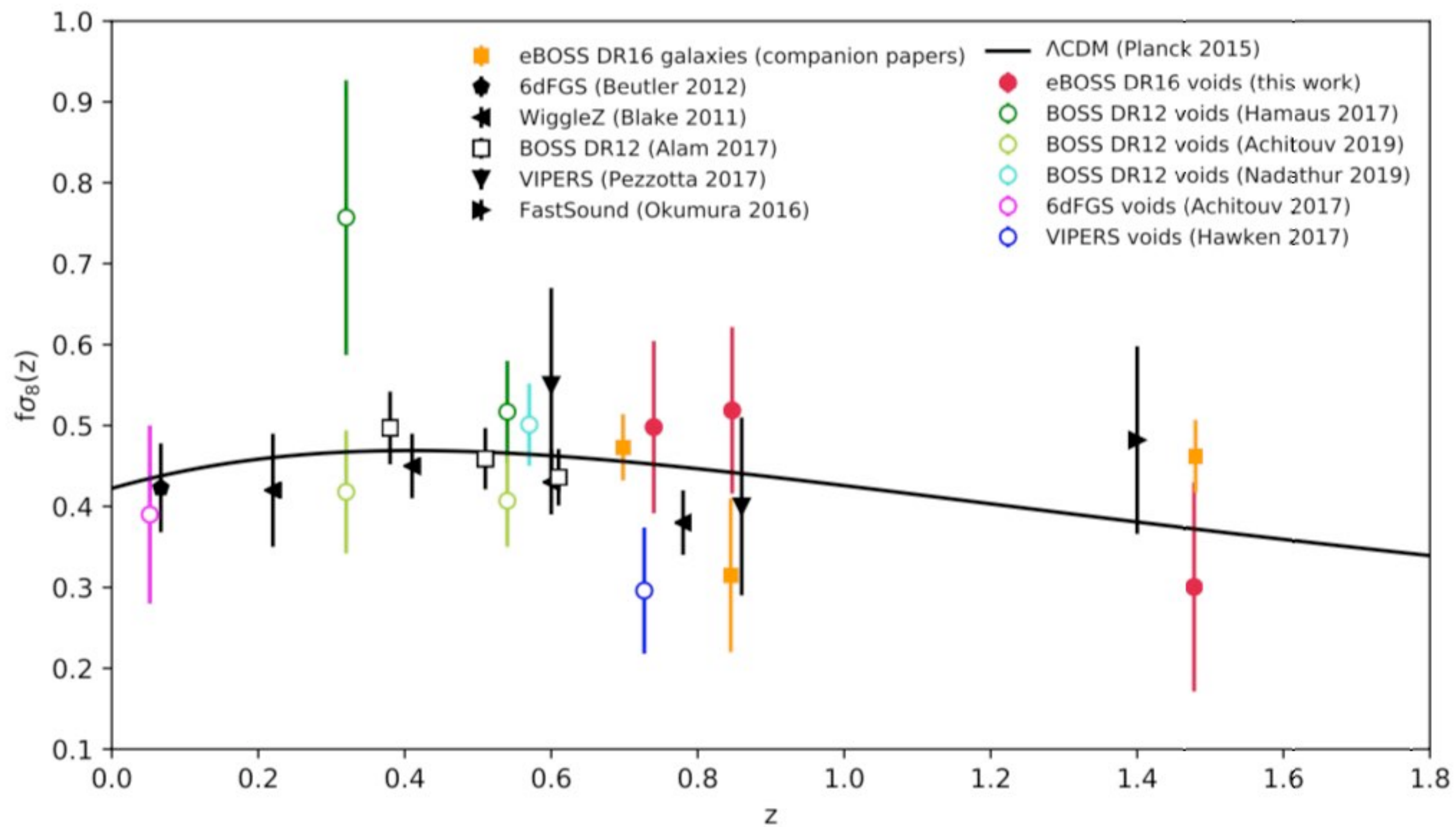
Perturbative cosmology

$$\rho_i = \bar{\rho} (1 + \delta_i) \quad \delta_i(\vec{r}, a(t), \Theta)$$

Growth rate of structures :

$$f = \frac{\partial \delta_m}{\partial \ln(a)}$$

$$\Theta = \left[f(H_0, \Omega_m, w_0, \dots), \sigma_8, n_s \right]$$



Galaxies as dark matter tracers

Continuity $\frac{\partial \delta}{\partial \tau} + \theta + \vec{\nabla} \cdot (\delta \vec{u}) = 0$

Euler $\frac{\partial \theta}{\partial \tau} + H\theta + \vec{\nabla} \cdot [(\vec{u} \cdot \vec{\nabla}) \vec{u}] = -\frac{3}{2}H^2\delta$

Poisson $\Delta\Phi = \frac{3}{2}(aH)^2\Omega_m\delta$

$$\theta = \vec{\nabla} \cdot \vec{u}$$

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$$\theta = \vec{\nabla} \cdot \vec{u}$$

$$\delta_g = O(\delta)$$

$$u_g = u$$

Perturbation theory

$$\delta(\vec{k}) = \sum_{n=1}^{\infty} \delta^{(n)}(\vec{k})$$

$$\theta(\vec{k}) = \sum_{n=1}^{\infty} \theta^{(n)}(\vec{k})$$

Observables

Random fields

$$\delta_g(\vec{r}, t)$$
$$u_g(\vec{r}, t)$$

Can't predict !

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Two point correlation
function

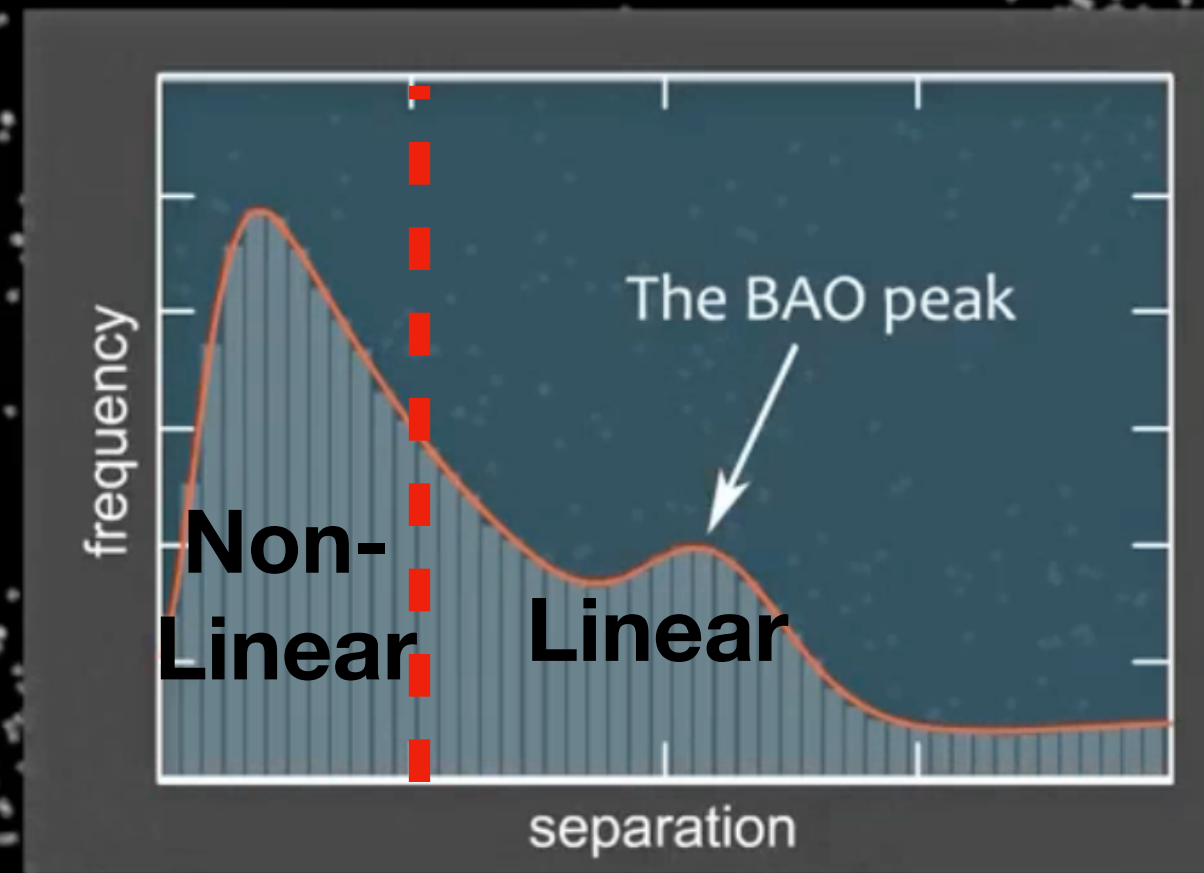
$$\langle \delta_g(\vec{r}_1, t) \delta_g(\vec{r}_2, t) \rangle = \xi_{gg}(\vec{r}_1 - \vec{r}_2, t)$$

$$\langle u_g(\vec{r}_1, t) u_g(\vec{r}_2, t) \rangle = \xi_{uu}(\vec{r}_1 - \vec{r}_2, t)$$

Observable !

The observable

2 point correlation function



Correlation function

$$\xi(\vec{r}) \equiv \langle \delta(\vec{x}) \delta(\vec{x} + \vec{r}) \rangle$$

$\langle \cdot \rangle =$ Average over different
realizations of the Universe

$=$ Average over a large volume

Likelihood inference

Likelihood

$$\mathcal{L} = \frac{1}{(2\pi)^n \det(C)^{1/2}} \exp \left(-\frac{1}{2} [\vec{d} - \vec{m}(\vec{p})]^T C^{-1} [\vec{d} - \vec{m}(\vec{p})] \right)$$

Data vector

$$\vec{d} = \begin{bmatrix} \xi_0 \\ \xi_1 \\ \dots \\ \xi_n \end{bmatrix}$$

Model

$$\vec{m}$$

Parameters

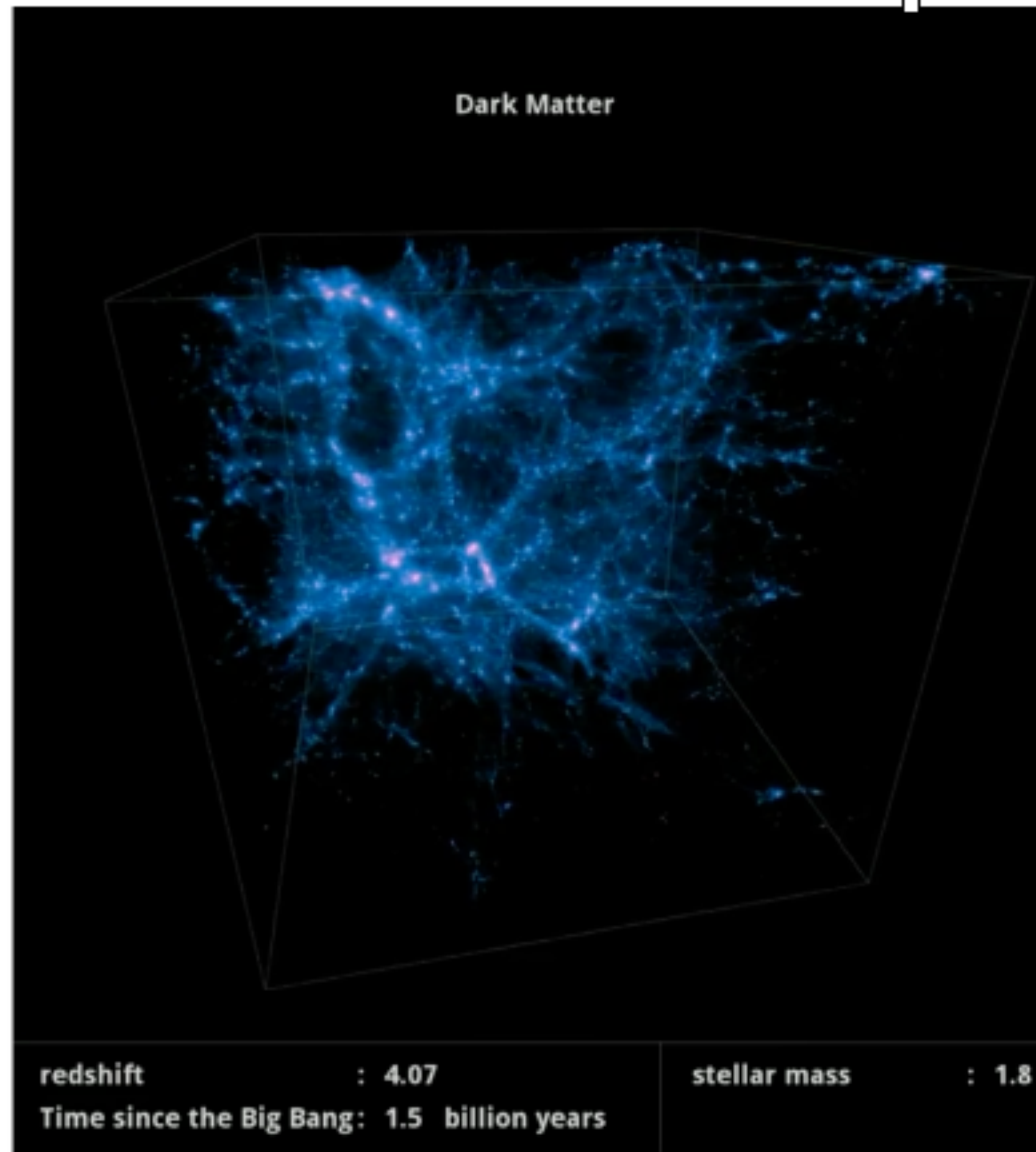
$$\vec{p}$$

Covariance matrix

$$C_{ij} = \langle \xi_i \xi_j \rangle$$

Noise + Cosmic variance

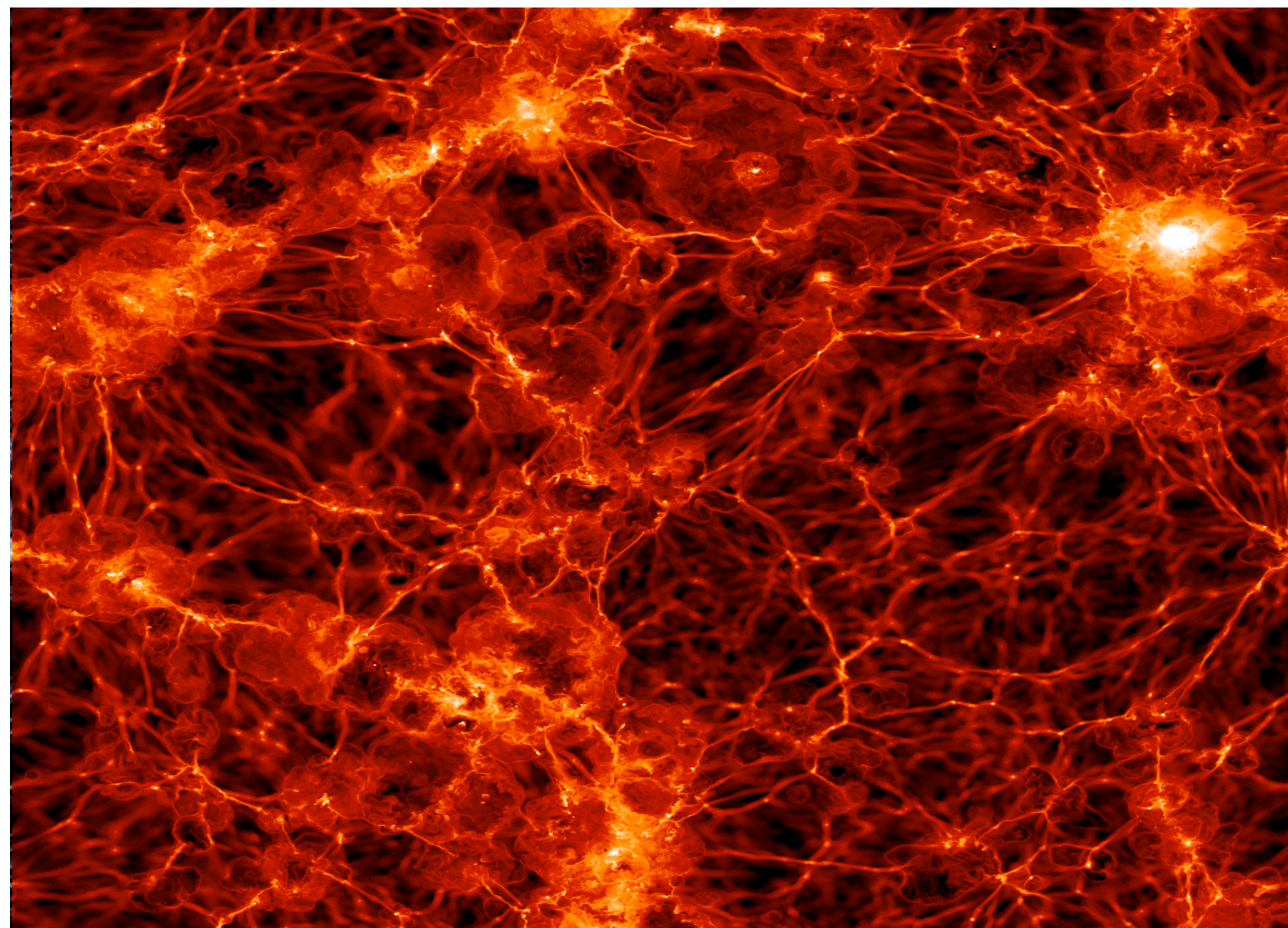
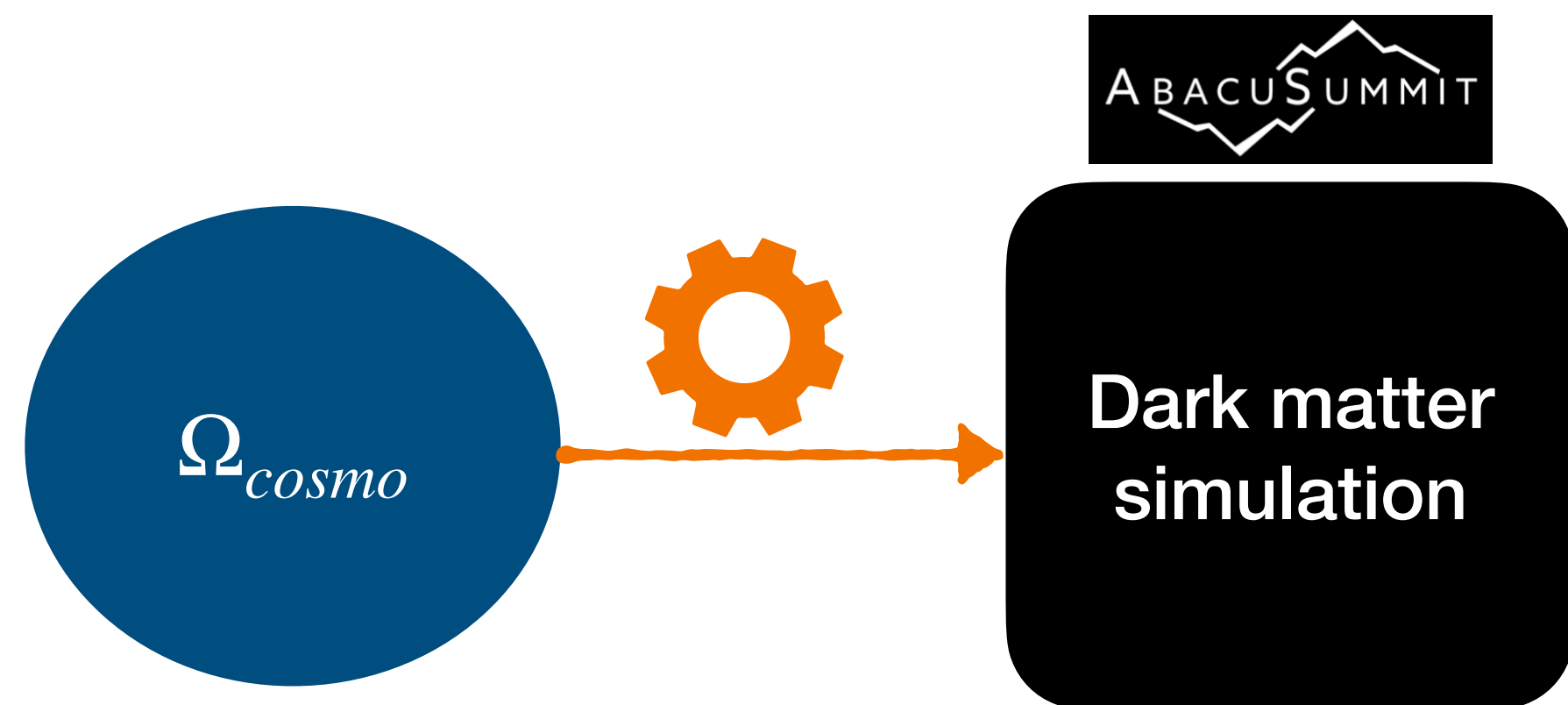
N-body simulations



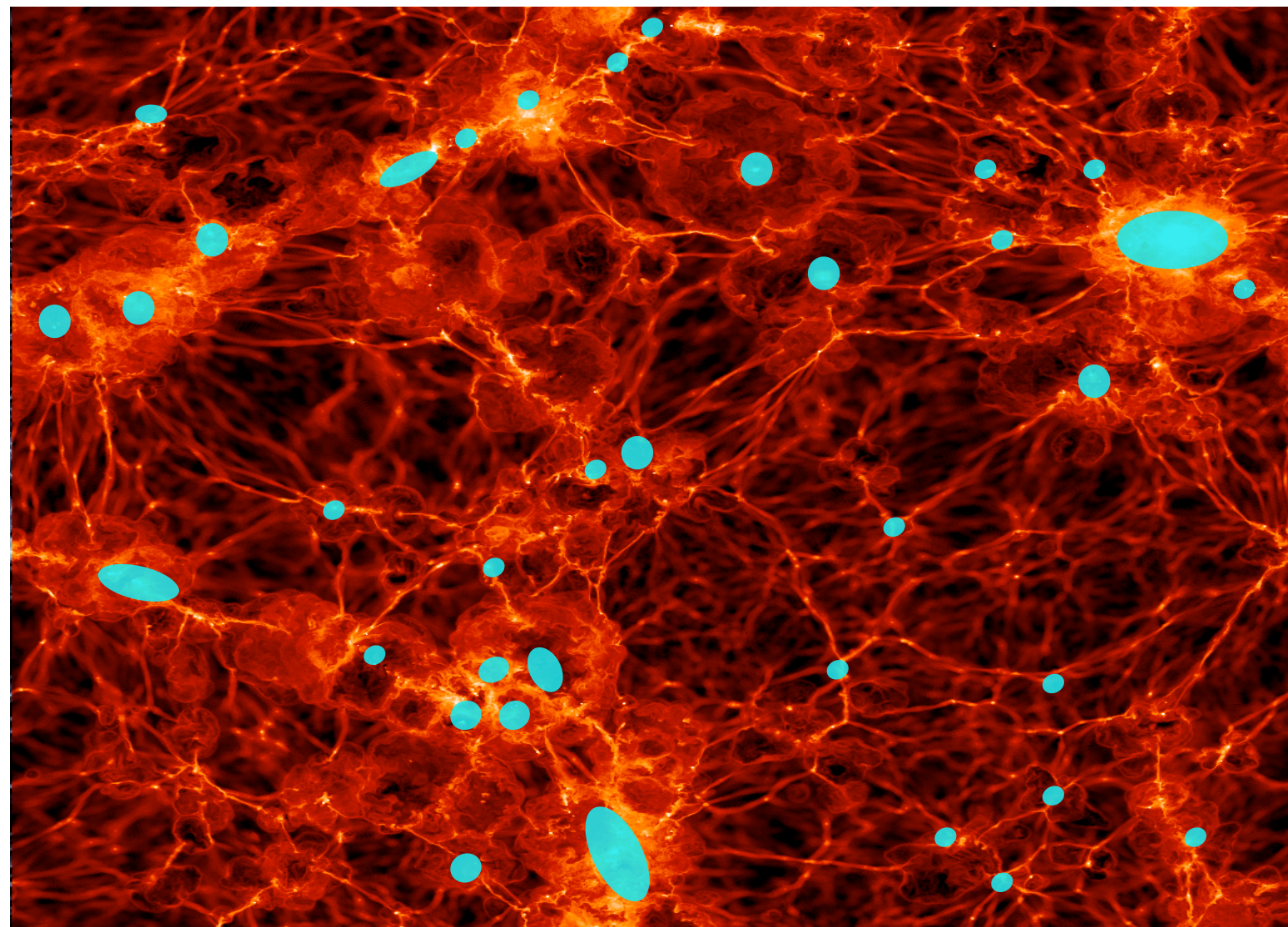
Dark matter only

- Chose cosmological parameters + gravity model
- Draw some random field IC
- Solve Iteratively the dynamical equations

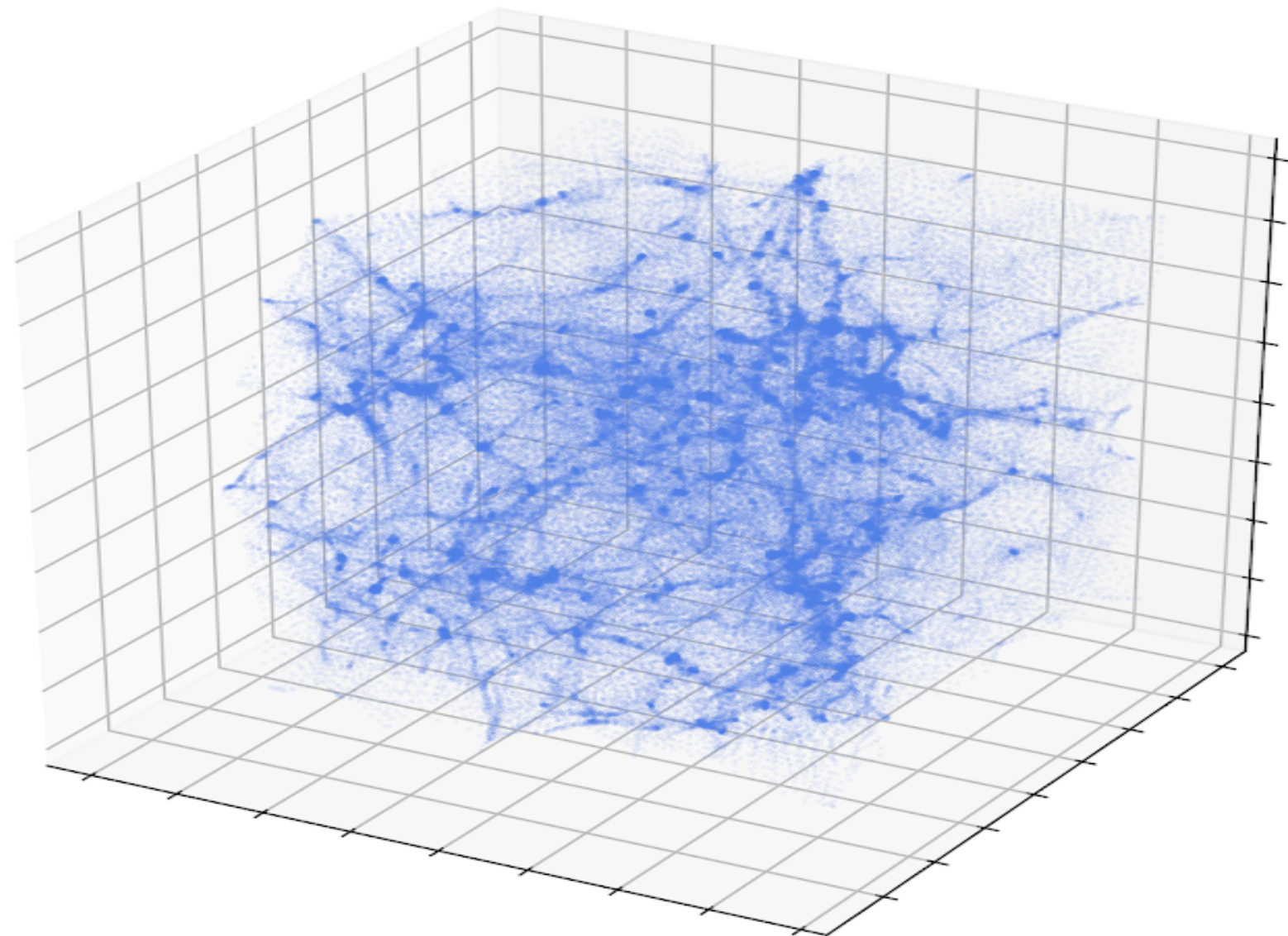
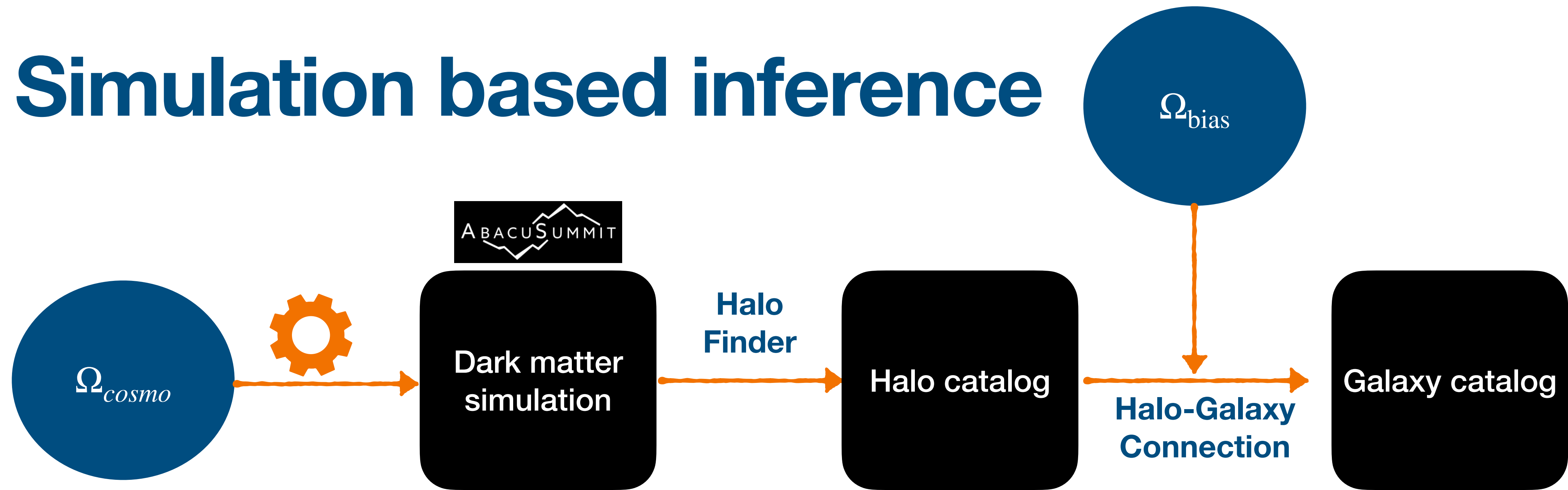
Simulation based inference



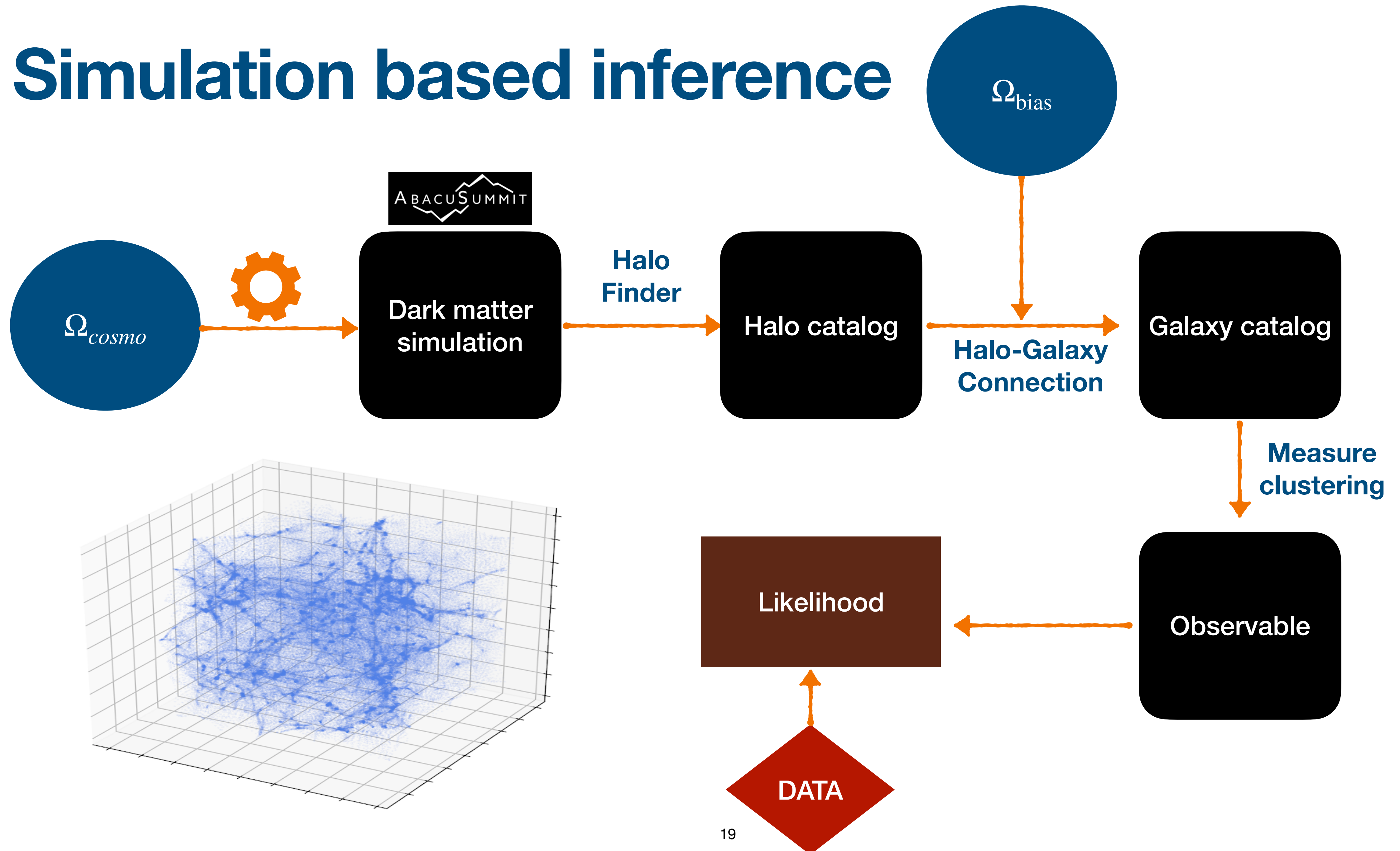
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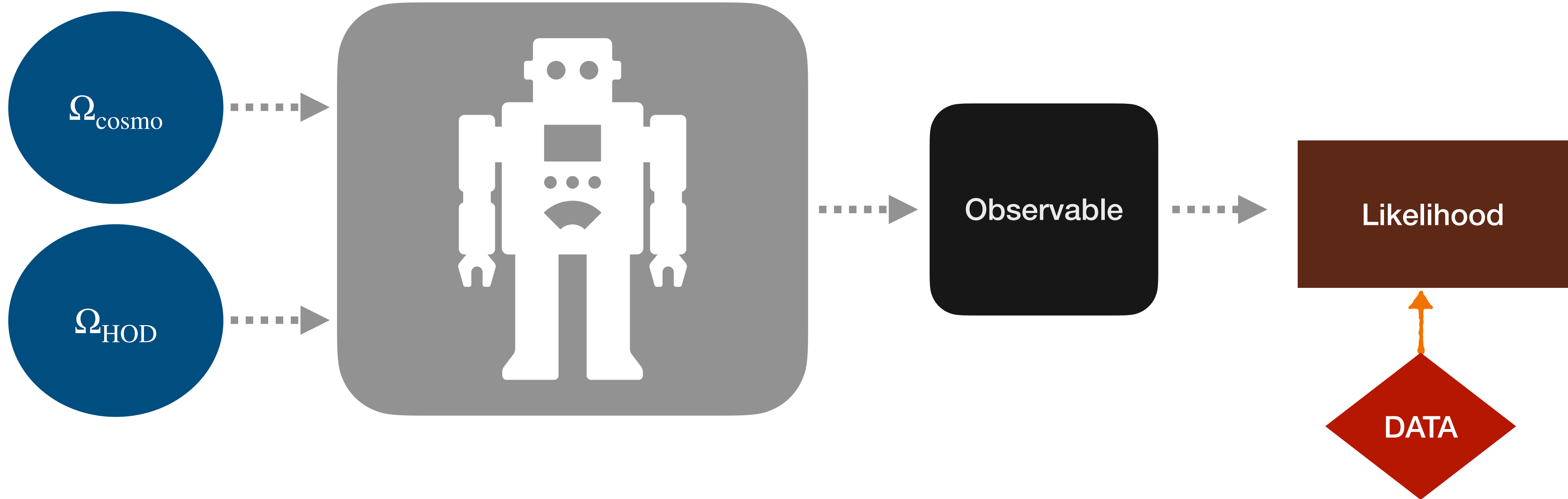


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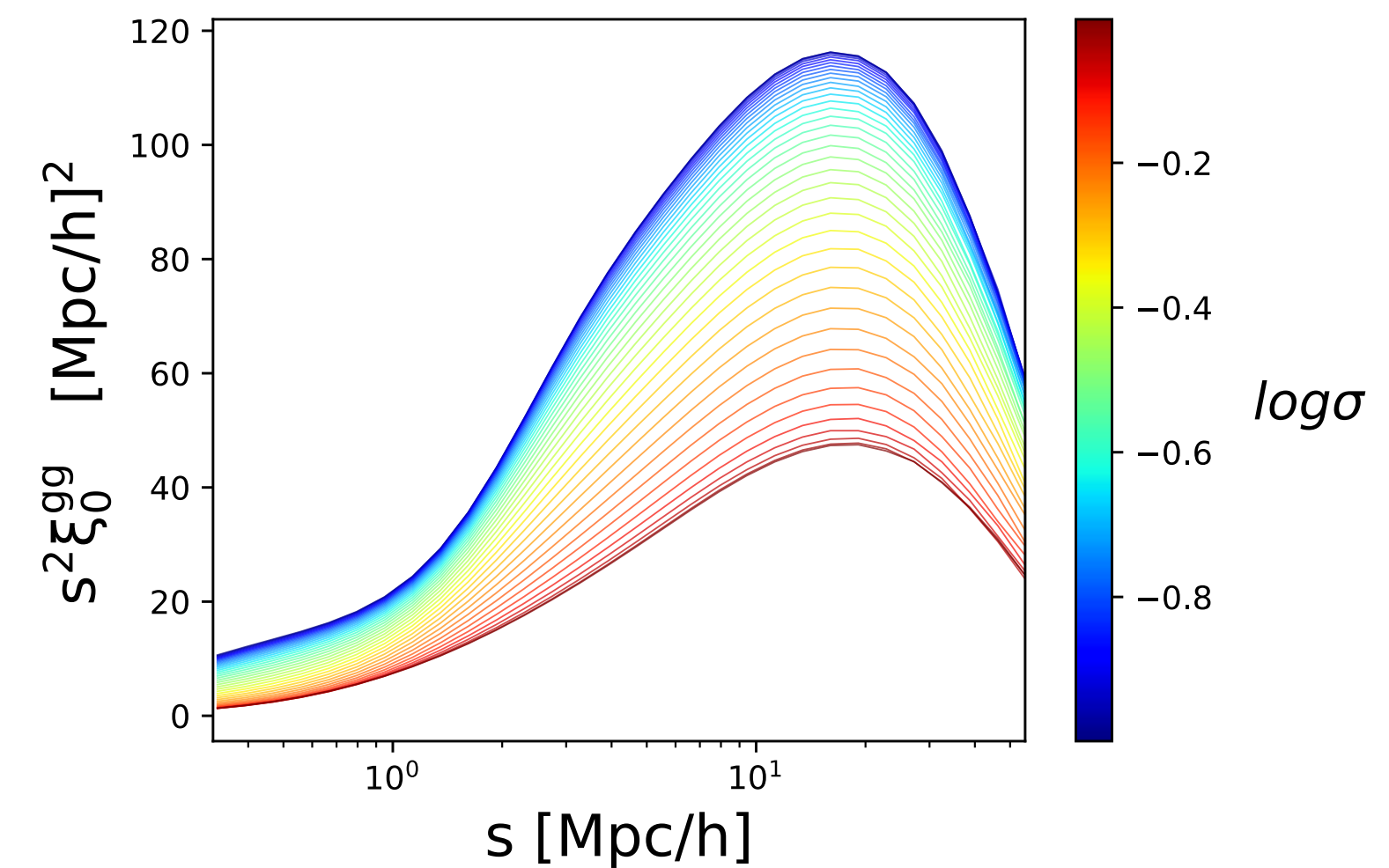
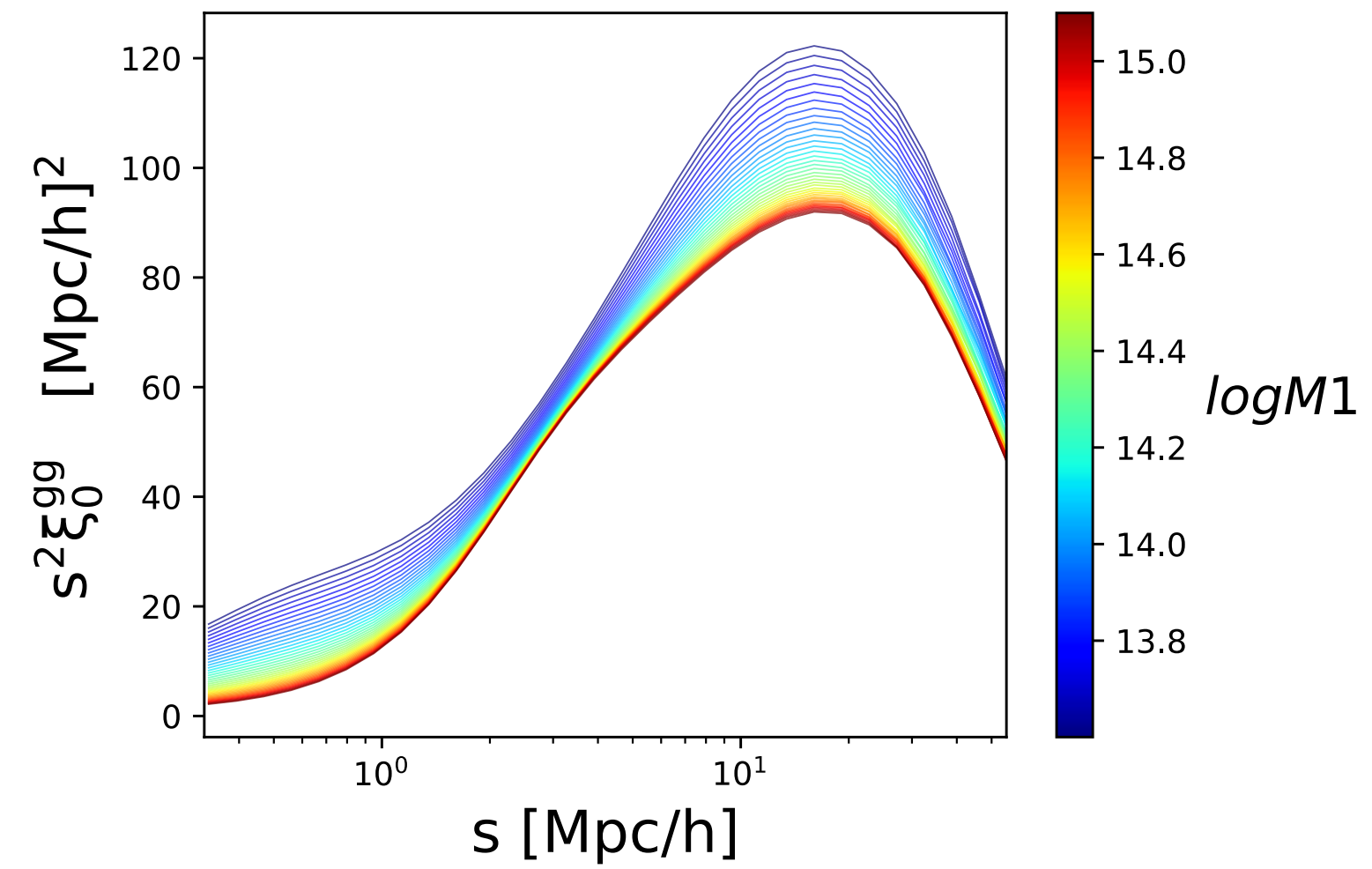
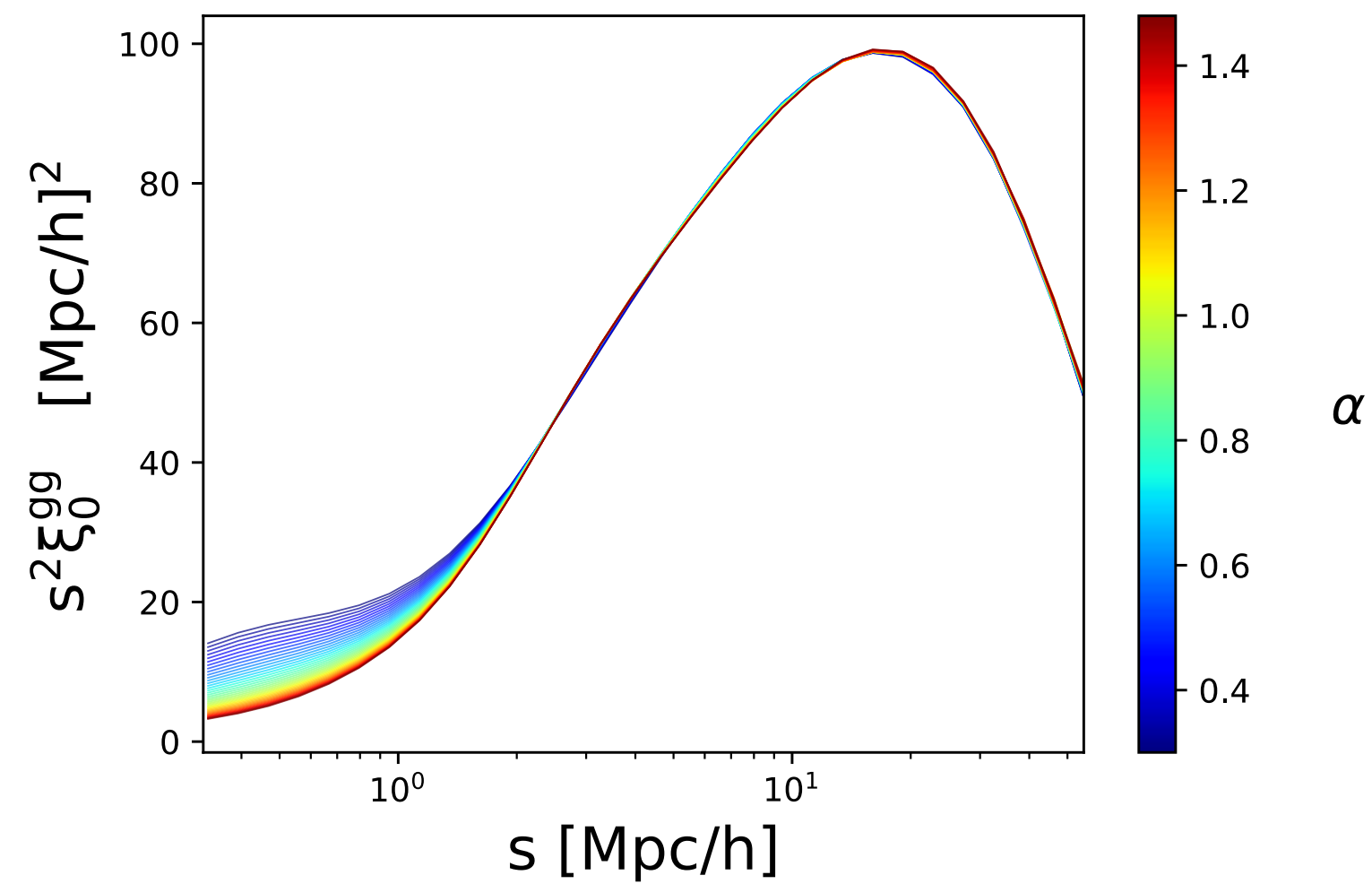
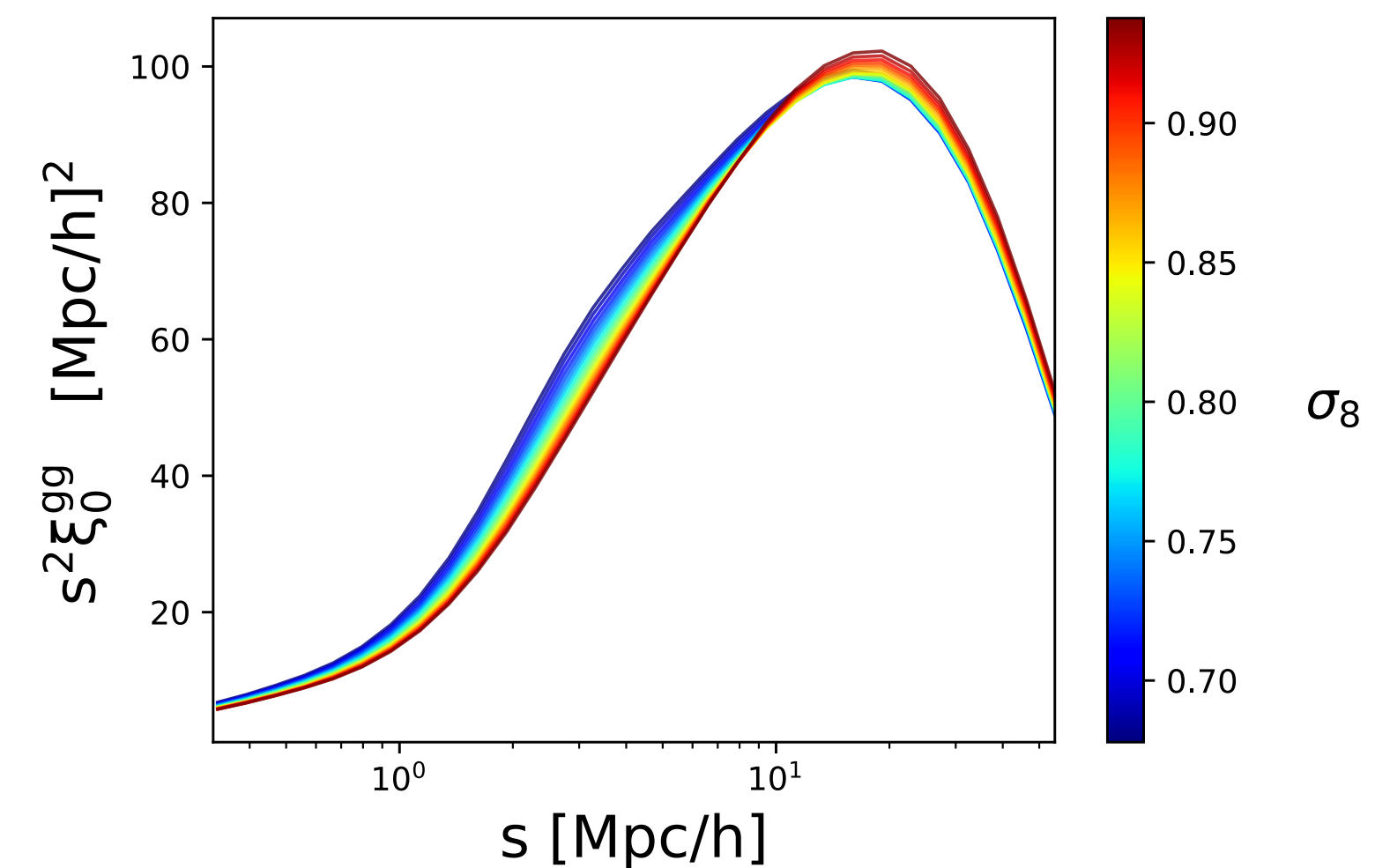
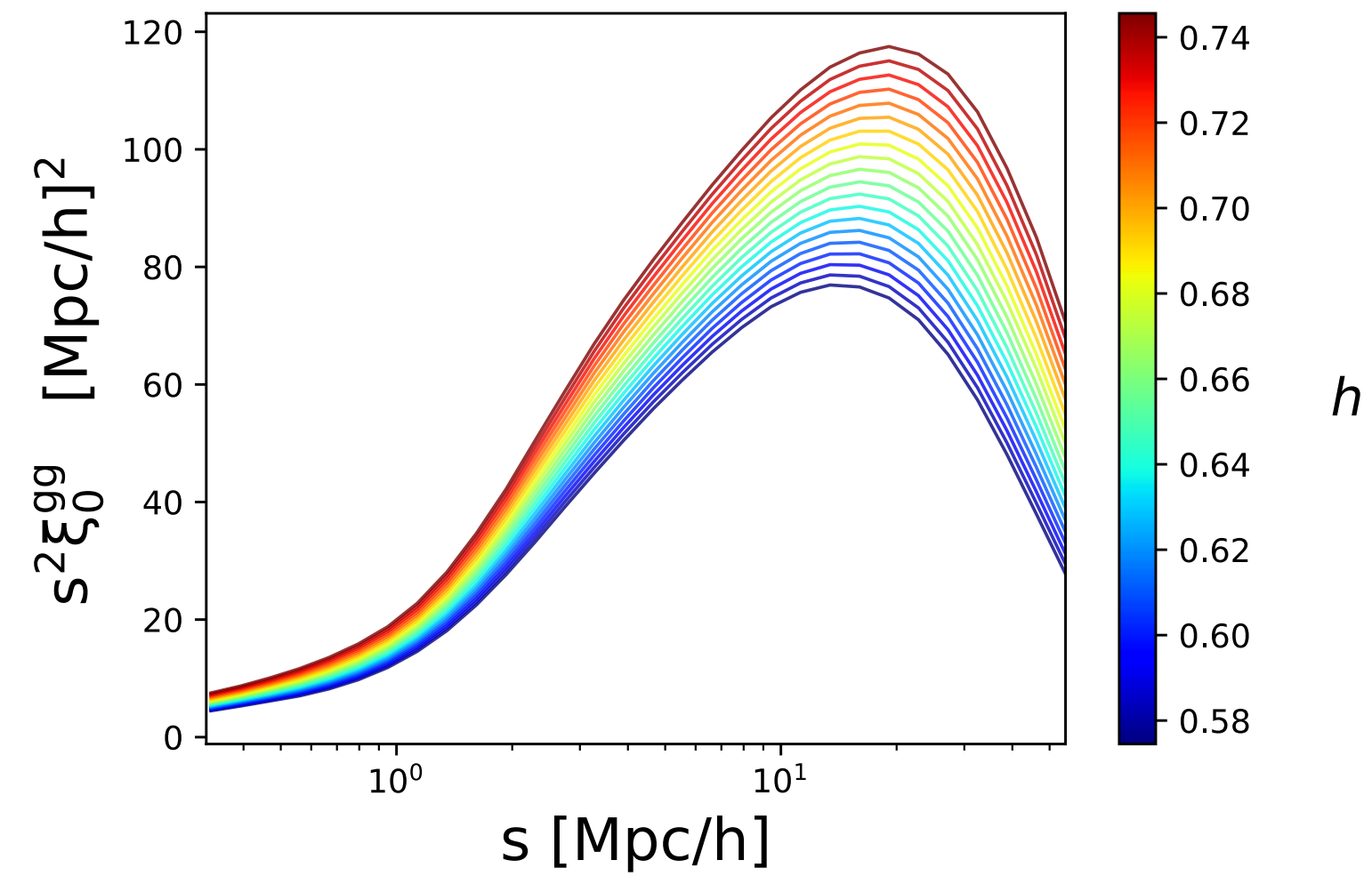
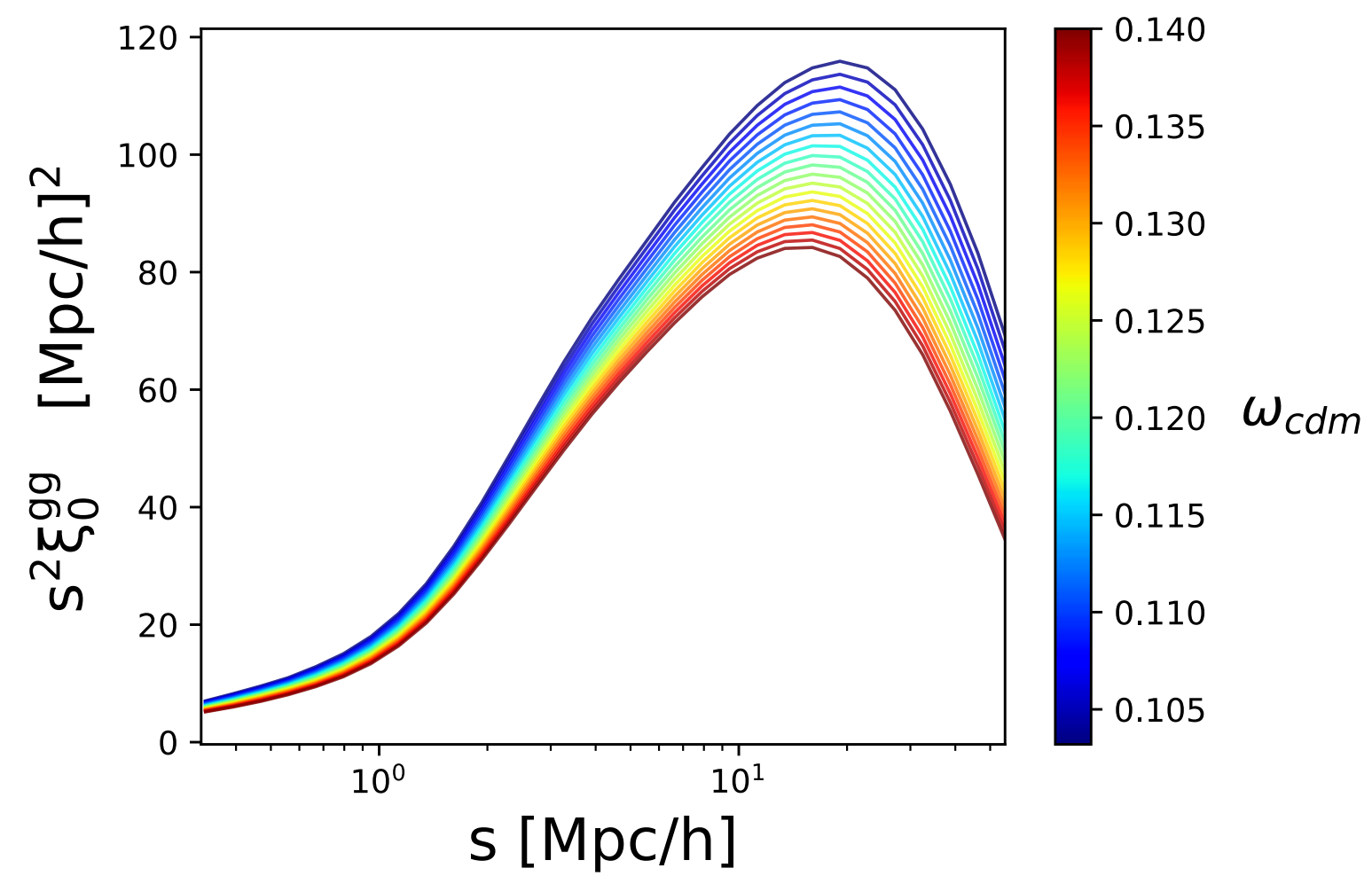


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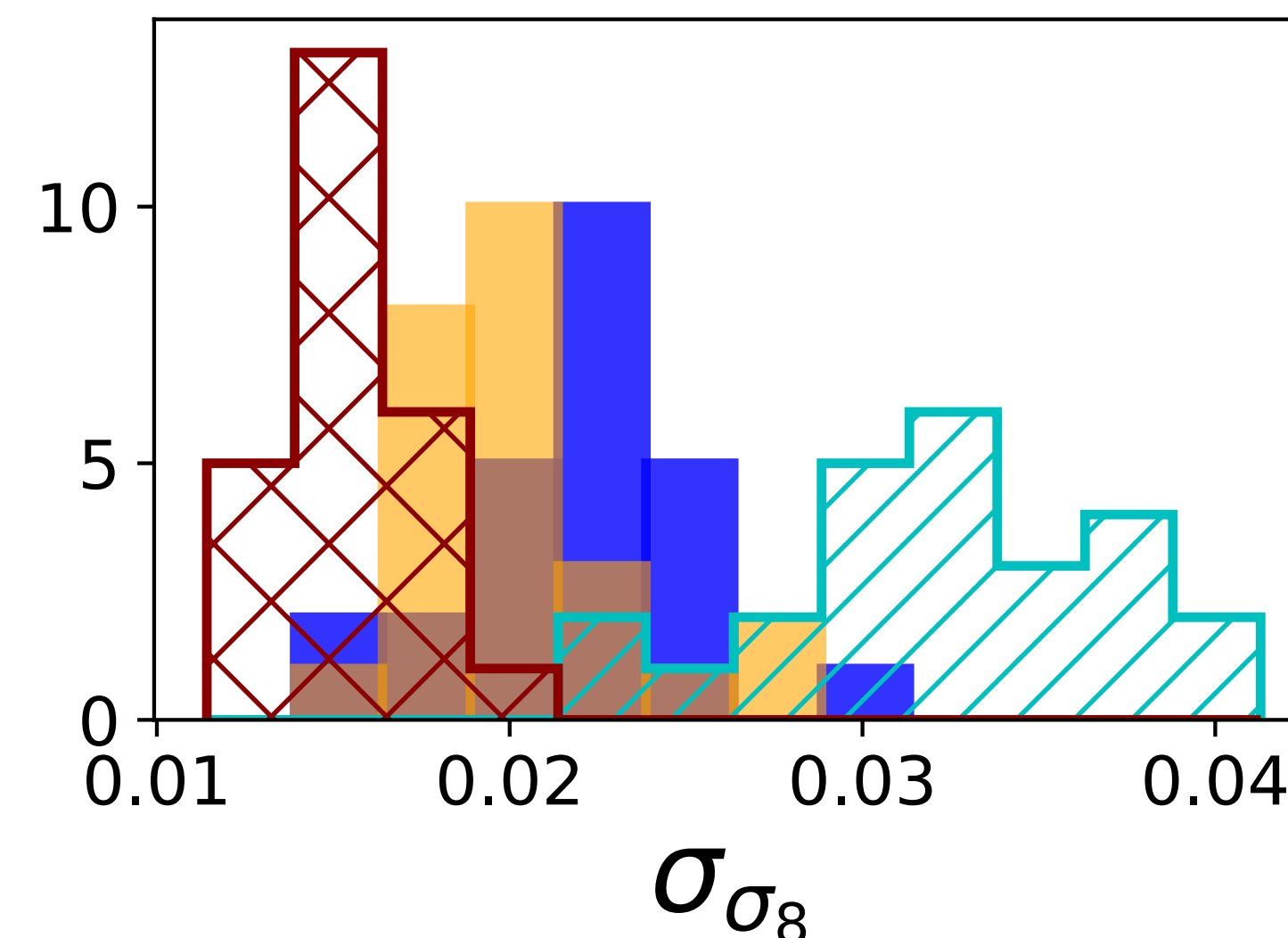
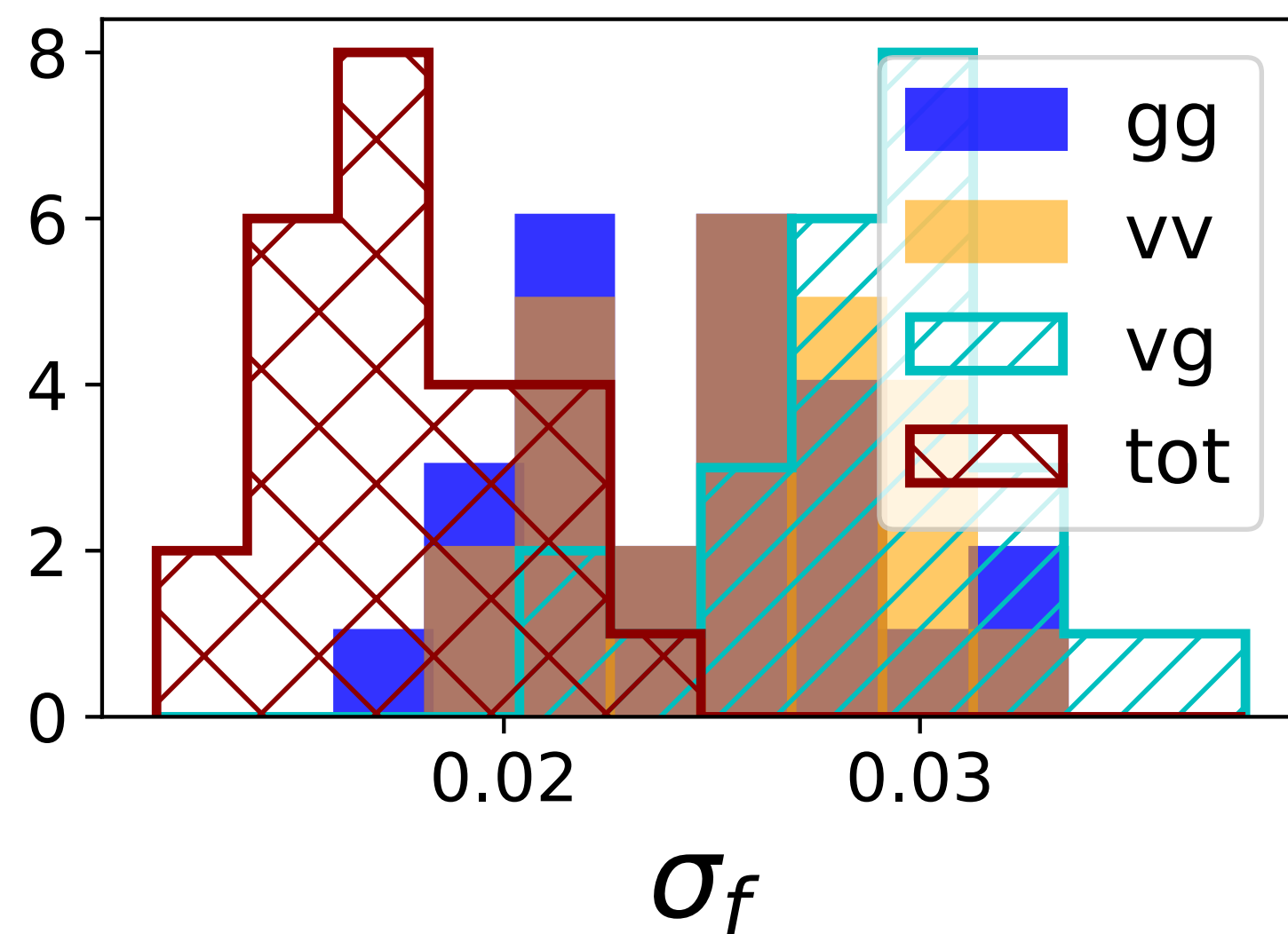
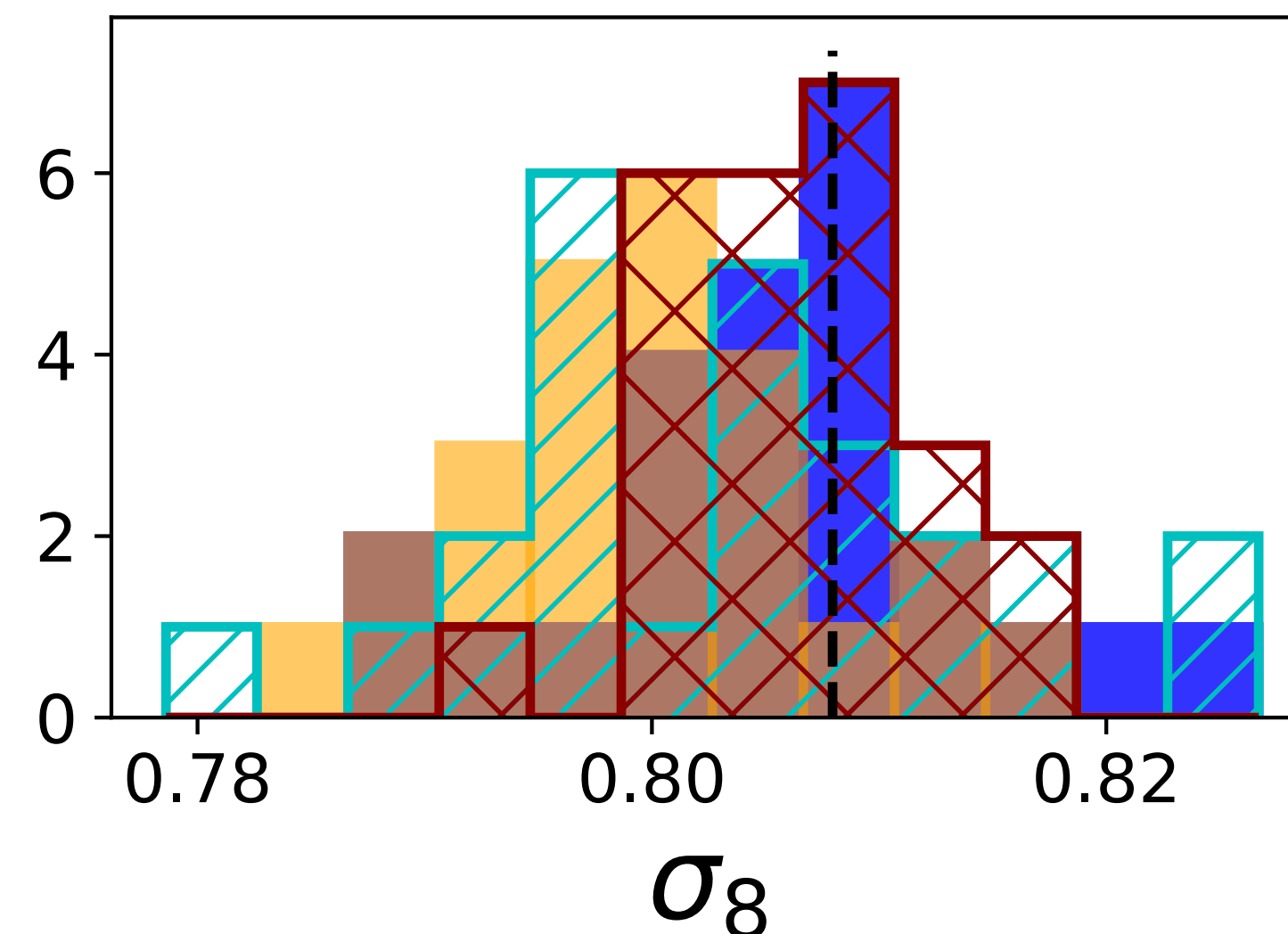
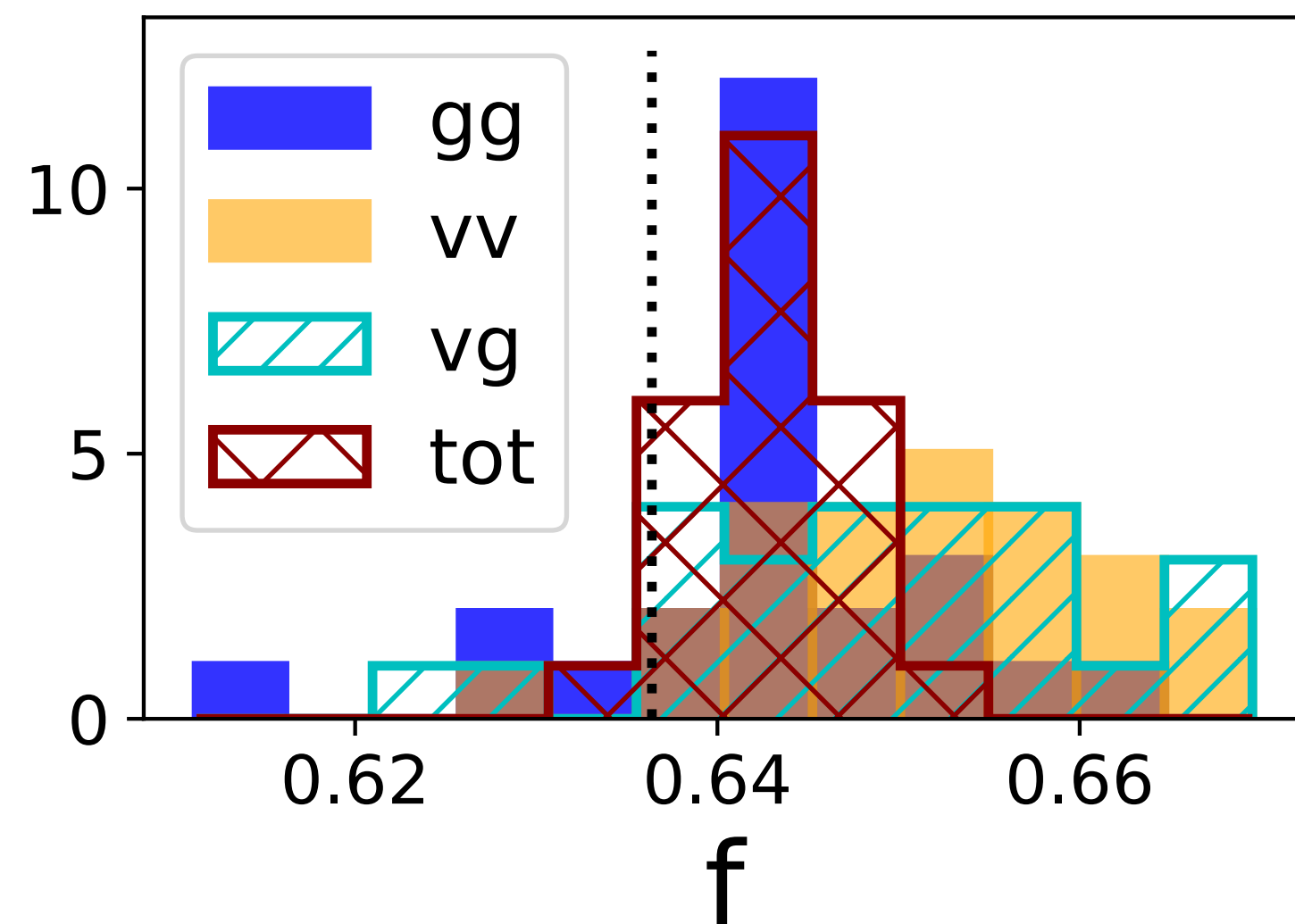
Emulator



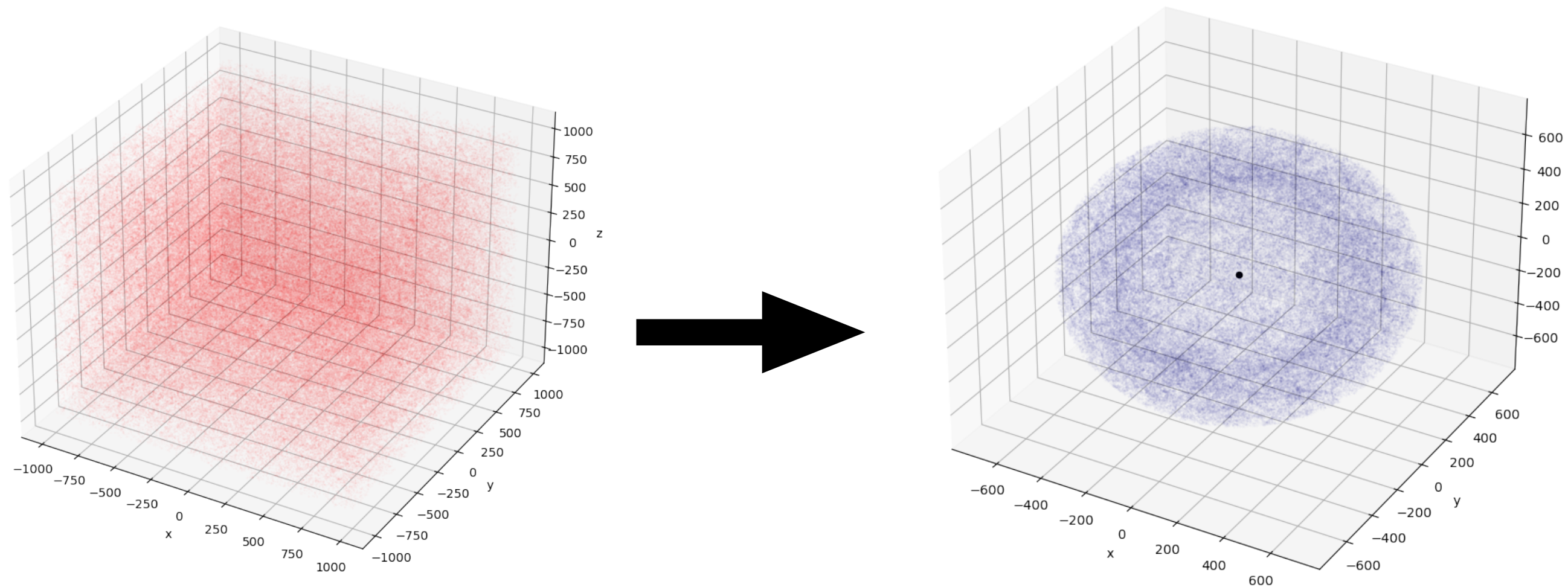
Simulation based inference



Recovery test on 25 ideal mocks



Modeling observational effects



Survey footprint

Galaxy density + velocity errors + (RA,DEC,z) $\rightarrow$ (x,y,z) +

...

Conclusion

- Build new emulator to match DESI BGS data
- Go to lower redshift
- Extend the galaxy-halo parameters
- Include additional systematic effects ?

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Thank You