



**CNTS** 

**Institut Pluridiscipl** 

# Search for the  $B^+ \rightarrow K^+ \nu \overline{\nu}$  decay in the Belle II experiment PhD thesis 2020 - 2023 **Lucas Martel**Under the supervision of Isabelle Ripp and Giulio Dujany

# I. Motivations

# II. Improvement of the Belle II Silicon Vertex Detector

# III. Search for the  $B^+ \rightarrow K^+v\bar{v}$  decay



# The  $\overline{B} \rightarrow K^{(*)}v\overline{v}$  decays in the Standard Model (SM)

- Occur through a  $b \rightarrow sv\bar{v}$  Flavour Changing Neutral Current (FCNC) transition **not allowed at tree level**
- FCNC = **good tests** of the SM
- SM branching ratio:



**BR(B+→K+ vv) = (4.43 ± 0.42)** ✕ **10-6**

[[Bečirević et. al. '23\]](https://link.springer.com/article/10.1140/epjc/s10052-023-11388-z)

## **Rare**:

Suppressed in the SM by the GIM mechanism

# **Challenging identification**:

Neutrinos do not interact with our detectors  $\rightarrow$  final state mostly invisible

**Decays not observed to this day**

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 $R_{K(\lambda)}$ 

 $b \rightarrow s$  FCNC searches motivated by previous b→s*t<sup>+</sup>t<sup>-</sup>* measurements showing tensions with SM expectations





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- $b \rightarrow s$  FCNC searches motivated by previous b→s*t<sup>+</sup>t<sup>-</sup>* measurements showing tensions with SM expectations
	- **Recent updates see these tensions vanish**





# The B→K<sup>(\*)</sup>ν⊽ decays **beyond** the Standard Model (SM)

- Several models of Beyond Standard Model (BSM) physics predict significant changes to BR(B $\rightarrow$ K<sup>(\*)</sup>v $\bar{v}$ )
- Modifications may be caused by:
	- Z' boson
	- Leptoquarks
	- Axion-Like Particles
- **Added value w.r.t.** b→s*t<sup>+</sup>t*<sup>-</sup>:
	- Theoretically "cleaner"
	- Probe 3rd generation lepton couplings
	- $\circ$  Actually study  $B \rightarrow K^{(*)}$ + invisible
	- $\circ$  Allows to constrain the  $\mathsf{C}_\mathsf{L}$  and  $\mathsf{C}_\mathsf{R}$  Wilson coefficients



## **Overall "cast a wider net"**

- No observation as of yet, several searches by Belle, BaBar and Belle II
- World leading limit by BaBar *PRD87, 112005*

BR(B<sup>+</sup>→K<sup>+</sup>v⊽) < 1.6 x 10<sup>-5</sup> @90% CL

- First analysis by Belle II using a new inclusive tagging method [**[PRL127, 181802](https://journals.aps.org/prl/abstract/10.1103/PhysRevLett.127.181802)**]
- No significant signal observed

**Belle II is the only current experiment that can hope to measure these decays !**



# The Belle II experiment at SuperKEKB

- Asymmetric  $e^+e^-$  collisions at  $\sqrt{s} \sim 10.58$  GeV = mass of Y(4S)
- World record instantaneous luminosity  $(4.7 \times 10^{34} \text{ cm}^{-2} \text{s}^{-1})$
- Goal to reach **50 ab-1** of int. luminosity (This work based on **362 fb-1**)

# **Main target = discovery of BSM physics Especially in rare and/or partially invisible decays**







# The Belle II experiment at SuperKEKB





## The Belle II detector - Tracking



### The Belle II detector - Particle Identification



## The Belle II detector - Calorimetry



## The Belle II detector - Calorimetry



# I. Motivations

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# III. Search for the  $B^+ \rightarrow K^+v\bar{v}$  decay



- 4 concentric layers of detectors
- Double Sided Silicon strip Detectors  $(DSSD) \rightarrow two sides (u/P and v/N)$
- Readout with APV25 chips
- Goal: give 3D position, hit time and deposited charge from **charged** particles (for tracking, PID, etc..)







- **Cluster** = **estimator** of crossing **position** of a particle
- For each strip, access to:
	- Collected charge
	- Noise
	- Gain
- Selection to discard noisy strips
- Set of retained strips = **cluster**
- For each cluster compute the charge **S**<sub>cl</sub> and position **x**<sub>cl</sub>:

$$
S_{cl} = \sum_{i} S_i
$$

$$
x_{cl} = \frac{\sum_{i} x_i \times S_i}{\sum_{i} S_i}
$$



- Resolution of the detector estimated both in data and Monte Carlo (MC) simulation Monte Carlo (MC) simulation<br>
Satisfactory data/MC agreement
- 
- But discrepancies observed
- Need to understand smaller effects
- $\bullet$  Studies performed to identify the root of the discrepancies (timing,  $\frac{3}{2}$ ) charge collection…)





- Tests performed: a signal is injected on a given strip while checking the response of the adjacent APV channel
- Small signal observed in the adjacent APV channel with a  $\sim$ 30 ns shift in time
- Expected effect on measured strip charge:

 $\textsf{charge}_{\mathsf{meas}}(\mathbf{a})$  =  $\textsf{charge}_{\mathsf{real}}(\mathbf{a})$  + 0.06 x  $\textsf{charge}(\mathbf{b})$ 



- Tests performed: a signal is injected on a given strip while checking the response of the adjacent APV channel
- Small signal observed in the adjacent APV channel with a  $\sim$ 30 ns shift in time
- Expected effect on measured strip charge:

charge<sub>meas</sub>(**a**) = charge<sub>real</sub>(**a**) 
$$
\bigoplus
$$
 0.06  $\bigotimes$  charge(**b**)

### **Charge used to compute x<sub>cl</sub>**





# The Cluster Unfolding



**The observed charge (biased) follows:**

 $a_i = (1-2c)A_i + c(A_{i-1} + A_{i+1})$ 

From the checks on electronics we expect  $c \sim 0.06$ 

# The Cluster Unfolding



**The observed charge (biased) follows:**

$$
a_{i} = (1-2c)A_{i} + c(A_{i-1} + A_{i+1})
$$

From the checks on electronics we expect  $c \sim 0.06$ 

To correct this effect, we propose to "unfold" the cluster charges :

$$
\begin{pmatrix}\n1-2c & c & 0 & 0 \\
c & 1-2c & c & 0 \\
0 & c & 1-2c & c \\
0 & 0 & c & 1-2c\n\end{pmatrix}\n\begin{pmatrix}\nA_1 \\
A_2 \\
A_3 \\
A_3\n\end{pmatrix} =\n\begin{pmatrix}\na_1 \\
a_2 \\
a_3 \\
a_3\n\end{pmatrix}
$$

**True** 

Obs

Unfold by inversion :

 $\begin{array}{c} A_2 \ A_3 \end{array}$  $a_2$  $a_3$  $a_3$ **True** Obs

M is an n x n matrix, with n the size of the cluster of interest

# The Cluster Unfolding - estimation of the correction factor

- Resolution is computed for each type of sensor for different **c** values
- No improvement seen on V-side sensors
- **U-side** sensors benefit from the method, optimal gain for **c = 0.1** across the board



# The Cluster Unfolding - implementation



- We see an improvement on U-side sensors with the method, which allows to gain  $\sim$ 5 15% on the position resolution
- This in turn allows to bridge part of the gap between data and MC
- The method has thus been implemented in the Belle II analysis software

# I. Motivations

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## A Belle II event at 10.58 GeV

- e<sup>+</sup>e<sup>-</sup> collisions at 10.58 GeV
- Signal events:  $e^+e^- \rightarrow Y(4S)$
- Y(4S) decays as  $B^{+}B^{-}$  or  $B^{0}\overline{B}^{0}$





- Well known event kinematics
- Signal info from the **other** B (**B tag**)

➡ **tagging**

# B-tagging at Belle II

**Hadronic B-tagging Strong** kinematic **constraints Low fraction** of B decays



**Semileptonic B-tagging Less** kinematic **constraints** (neutrinos on both sides) **High fraction** of B decays



**Inclusive B-tagging**

Only reconstruct signal B No constraints on other B **Less pure** but **higher efficiency**





# **B-tagging at Belle II**





# The Full Event Interpretation algorithm

- **•** Here, use **hadronic** tagging → Full Event Interpretation (**FEI**) algorithm
- Use final state particles to hierarchically reconstruct the **most probable** Btag
- Reconstruction done within a list of **O(10<sup>4</sup> )**  hadronic decay chains





- The  $B_{\text{taq}}$  is reconstructed in one of the hadronic decays known to the FEI [\[arXiv:1807.08680\]](https://arxiv.org/pdf/1807.08680.pdf)
- Signal K<sup>+</sup> selection:
	- At least one PXD hit
	- $\circ$  High probability to be a kaon (kaonID > 0.9)
- Event selection:
	- $\circ$  B<sub>tag</sub> and K<sup>+</sup> opposite charge
	- Number of good quality tracks < 12
	- No clean tracks in ROE
	- $\circ$  No K<sup>0</sup><sub>S</sub>, π<sup>0</sup> or  $\Lambda$ <sup>0</sup> in ROE

kaonID discards  $\sim$  32% of real kaons

 $π$  -> K misID ~ 1.2%

Bosic selection and reconstruction



### **Rest of the event (ROE)**

- **Remaining tracks**
- **Calorimeter deposits**

**Not associated to B<sub>sig</sub> NOR B<sub>tag</sub>** 

## Boosted Decision Tree based selection

- Build a BDT based on XGBoost to distinguish between signal and background
- 12 features used in the training:
	- Extra calorimeter energy
	- Event topology
	- $\circ$  Signal K<sup>+</sup> kinematics
	- D meson suppression variables
	- $\circ$  Missing quantities (E,p) in the event
- 3 background contributions: e<sup>+</sup>e<sup>-</sup> →light-qq̃, cc̄ and BB
- Signal search region based on BDT output



### **Background** suppression

- Signal Region (SR) defined as BDT output  $\epsilon$  [0.4, 1]
- SR divided into 6 bins
- Signal efficiency =  $0.4\%$
- Low efficiency but high sample purity
- $\bullet$  Higher  $q^2$  resolution w.r.t. other tagging methods



### **Background** suppression



- Validate signal behavior by **embedding** signal MC into data events
- Use  $B^+ \rightarrow K^+$  J/ $\psi(\mu\mu)$  events, replace B decays by simulated signal and match kinematics
- Done for both data and simulation
- Data/MC efficiency ratio =  $0.67 \pm 0.06$ 
	- $\rightarrow$  Use as calibration factor and propagate uncertainty





# Validation of background using off-resonance data

- $c\bar{c}$  and light-qq background simulation studied in off-resonant data (collected 60 MeV below Y(4S) mass)
- Overall acceptable agreement, but some discrepancies are seen
- In normalization: data/MC ratio =  $0.82 \pm 0.01$  $\rightarrow$  reweighting of the simulation
- In shape: devise a correction using an additional BDT to correct simulation and derive a systematic uncertainty
- After corrections, data/MC agreement greatly improves



Validation Data-MC corrections

- On-resonance data: need to limit signal contamination
- Same selection as signal
- Some cuts inverted to avoid looking at the SR:
	- "**Wrong charge**": the B<sub>tag</sub> and B<sub>sig</sub> are required to be of same electrical charge
	- "**kaonID**" the reconstructed signal kaon is required to be compatible with the pion hypothesis
- Overall acceptable data-MC agreement
- data/MC ratios are computed:
	- **1.6 ± 0.6 1.24 ± 0.27**

wrong charge kaonID

Compatible with 1 but large stat uncertainty  $\rightarrow$  treated as systematic uncertainty


# Diving deeper in BB background - B  $\rightarrow$  K $^+$ K $^0\overline{\mathrm{K}}{}^0$

- Several decays show intrinsic signal likeness
- For example:  $B^+ \rightarrow K^+ K^0 K^0$
- BaBar study shows complex structure of the B<sup>+</sup>→K<sup>+</sup> K $^0\text{s}$  K $^0\text{s}$  decay [**PhysRevD.85.112010**]
- Use this study to correct Belle II phasespace simulation
- In addition, use  $B^+ \rightarrow K^+ K^0{}_S K^0{}_S$  and  $B^0 \rightarrow K^0$ <sub>S</sub> K<sup>+</sup> K<sup>-</sup> data to model  $B^+ \rightarrow K^+ \overline{K^0}_S K^0_L$
- Do the same for  $B^+ \rightarrow K^+ \cap \overline{\mathsf{n}}$





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Data-MC

corrections

# Signal extraction

#### Statistical interpretation

- Estimate  $BR(B^+ \rightarrow K^+ \, \nu \bar{\nu})$  from a 1-dimensional likelihood fit to the SR distributions
- 4 contributions taken into account:
	- $\circ$  BB, cc, light-qq backgrounds
	- signal
- The fit takes into account 45 nuisance parameters, as well as the parameter of interest: the signal strength  $\mu$  = BR/BR<sub>SM</sub>



# **Systematics**



Statistical interpretation

Stat. unc. = 2.3

# **Results**

Finally, we measure in data:

$$
\mu = 2.2 \pm 2.3 \text{(stat)}^{+1.6}_{-0.7} \text{(syst)}
$$

Giving:

 $BR(B^+ \to K^+ \nu \bar{\nu}) = [1.1^{+0.9}_{-0.8} \text{(stat)}^{+0.8}_{-0.5} \text{(sys)}] \times 10^{-5}$ 

- Significance with respect to background only hypothesis (μ = 0): **1.1σ**
- With SM signal: **0.6σ**

Candidates Data 50  $\Omega$ 5  $P$ ull  $0.4$  $0.5$  $0.6$  $0.7$ 0.8

100

This **improves** on previous **hadronic tag** results:

- **30% improvement** in uncertainty w.r.t **Belle** hadronic tag measurement with a **2x smaller** dataset
- **15% improvement** in uncertainty w.r.t **BaBar** hadronic tag measurement with a **20% smaller** dataset

**However still statistically limited**

BDT

**Belle II** preliminary

 $\int \mathcal{L} dt = 362$  fb<sup>-1</sup>

1.0

 $B^+\rightarrow K^+\nu\bar{\nu}$ 

 $B\bar{B}$ 

0.9

- Analysis performed in tandem with another analysis using **inclusive tagging**
- Using this method we find:

 $\mu = 5.6 \pm 1.1$ (stat)<sup>+1.0</sup><sub>-0.9</sub>(syst) or  $BR(B^+ \to K^+ \nu \bar{\nu}) = [2.8 \pm 0.5$ (stat)  $\pm 0.5$ (sys)]  $\times 10^{-5}$ 

- Significance with respect to background only hypothesis (μ = 0): **3.6σ**
- With SM signal: **3.0σ**

### Results - Combination

- A combination of both results is performed
- Correlations among common systematic uncertainties are taken into account
- The combination **improves the precision** of the inclusive tag-only measurement by **10%**



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**New at EPS-HEP 2023**

# New experimental state of the art



**ITA** result has some tension with previous semi-leptonic tag measurements a 2.4 $\sigma$  tension with BaBar a 1.9 $\sigma$  tension with Belle **HTA** result in agreement with all the previous measurements **Overall compatibility is** good:  $\chi^2$ /ndf = 4.3/4

# New experimental state of the art













- **First evidence** of the **B + →K<sup>+</sup> + inv.** decay and **improvement** of Belle II **Silicon Vertex Detector**
- Development of a calibration method allowing to gain **~5 15%** in SVD **spatial resolution**
- Two analyses aimed at observing  $B^+ \rightarrow K^+ + inv$ . : **hadronically** and **inclusively** tagged
- Combination of the result allows for a first evidence of the decay (**3.6σ** away from null hypothesis) and shows a **2.8σ** tension with SM expectations
- Really exciting result ! Additional work needed to get a clearer picture:
	- Complementary semileptonic tag analysis
	- $\circ$  other b  $\rightarrow$ s + inv. modes

# **Thank you !**







# Cluster position resolution





**Note: the true position x is only available in simulation !**

# SVD anatomy





# APV25



The multi-peak mode of the APV25 allows to take 3, 6, 9, ... consecutive samples of the shaper output signal. Three points around the maximum of the curve can be used to determine timing and amplitude of the peak with lookup tables, which are generated from the calibration pulse of the APV25. Thanks to using only three out of six samples, a trigger jitter of up to  $+/-2$  clocks can be tolerated.



### Eta correction



svdClIntStrPos\*75e-4 {svdLayer==4 && svdLadder == 1 && svdSensor == 1}

svdClIntStrPos\*75e-4 {svdLayer==4 && svdLadder == 1 && svdSensor == 1}



$$
x_{IS} = x_{COG} mod(p) \qquad \qquad \text{p = pitch}
$$

$$
\zeta_{IS}=\frac{x_{IS}}{p}
$$

Correction:

$$
F(\zeta_{IS}=\zeta)=\int_0^s P(\zeta_{IS})d\zeta_{IS}
$$

 $\hat{C}$ 

$$
x_{\eta} = x_{S0} + p * F(\zeta_{IS})
$$

xS0 = position of the central strip in the cluster

## Eta correction







### corrected CI pos-trkunbiased

# Fudge factors

MC res. altered by a random amount taken from a gaussian of mean 0 and sigma:

$$
\sigma_{\text{corr}} = \text{sign}(\sigma_{\text{data}}^2 - \sigma_{\text{MC}}^2) \cdot \sqrt{|\sigma_{\text{data}}^2 - \sigma_{\text{MC}}^2|},
$$



# Fudge factors

MC res. altered by a random amount taken from a gaussian of mean 0 and sigma:

$$
\sigma_{\rm corr} = {\rm sign}(\sigma_{\rm data}^2 - \sigma_{\rm MC}^2) \cdot \sqrt{|\sigma_{\rm data}^2 - \sigma_{\rm MC}^2|},
$$





Expected sensitivities

# BDT features

- Sum of photon energy deposits in ECL in ROEh
- $\bullet$  Number of tracks in ROEh
- Sum of the missing energy and absolute missing three-momentum vector
- Azimuthal angle between the signal kaon and the missing momentum vector
- Cosine of the angle between the thrust axis of the signal kaon candidate and the thrust axis of the **ROEh**
- Kakuno-Super-Fox-Wolfram moments  $H_{22}^{so}$ ,  $H_{02}^{so}$ ,  $H_0^{oo}$
- Invariant mass of the tracks and energy deposits in ECL in the recoil of the signal kaon
- *p*-value of  $B_{tag}$
- $\bullet$  p-value of the vertex fit of the signal kaon and one or two tracks in the event to reject fake kaons coming from  $D^0$  or  $D^+$  decays



# BDT features



# BDT features



Most fake kaons are misidentified pions

Sample selected as  $D^{*+} \to \pi^+ D^0(\to K^- \pi^+)$  provides abundant and low background  $K^-$  and  $\pi^+$  samples

Use to determine kaon ID efficiency and pion-to-kaon fake rates as functions of relevant variables.

Data/MC comparison shows that simulation underestimates the pion-to-kaon fake rate



### Detour on particle ID

Use  $B^+ \to \overline{D}^0$   $\to K^+\pi^-$ )h<sup>+</sup> with  $h = K, \pi$ 

Use D-decay tracks to select the event and then remove to mimic signal topology

- Use the full  $B^+ \to K^+ \nu \bar{\nu}$  selection
- Compute  $\Delta E$  with  $\pi$  mass hypothesis and select  $h$  with nominal K-id estimate the number of  $B^+ \rightarrow \overline{D}^0 K^+$  and  $B^+ \rightarrow \overline{D}^0 \pi^+$  by fitting  $\Delta E$  both for MC and data

Obtain fake rate  $F = N_{\pi}/(N_{\pi} + N_{K}).$ Data consistent with MC within 9% No further corrections applied



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Validation

# KL efficiency

Validation

1) Partially reconstruct  $e^+e^- \rightarrow \gamma_{\rm ISR}\phi(\rightarrow K_{\rm L}^0K_{\rm S}^0)$ 2) Infer  $K_{I}^{0}$  information by using known  $\phi$  mass and collision energy 3) Match  $K_{\text{L}}^{0}$  candidates to ECL clusters within 15 cm of the inferred direction of  $K_{\rm L}^0$ . (ECL cluster list follows  $B^+ \to K^+ \nu \bar{\nu}$  selection)

$$
\varepsilon(K_{\rm L}^0) = \frac{N(K_{\rm L}^0 \text{ distance to ECL cluster} < 15 \text{cm})}{N(\text{total})}
$$

**Caveat:** probes only high-energetic  $K_I^0$  (more on this later) Globally suggested correction is 17±8%





Correct simulation to account for residual data-simulation discrepancy by using extra photon multiplicity.

- Use wrong-charge sideband to derive the correction
- Use pion-ID sideband to validate it and estimate systematic uncertainty.

Apply the weight  $w_{n}$  in the signal region based on the associated  $n_{\gamma}$ .

Data-simulation agreement is improved but residual discrepancy persists.

Assign 100% of residual discrepancy as systematic uncertainty



KL charm decays

# $B \to X_c (\to K_I^0 + X)$ +ANYTHING

Study pion ID sideband (do the analysis with pion  $ID > 0.9$ ) Binned fit of  $q_{\text{rec}}^2$  in signal search region ( $\mu(BDT_2)$ ) > 0.92) to determine scaling of simulated  $B\bar{B}$  events containing a charm decay involving a  $K^0_L$  on signal side,  $X_c$   $\to$   $K_{\rm L}^0$  + X).

3 fit components:  $X_c$  (  $\rightarrow K_L^0 + X$ ),  $B\bar{B}$  background, continuum background.  $B\bar{B}$  and continuum normalisation uncertainties set to 1% and 10%, respectively.



Scale up  $B \to X_c (\to K_I^0 + X)$  by 1.3 in the MC and assign systematic of 0.1



# Diving deeper in BB backgrounds

Several decays show high signal-likeness, and need to be studied

- Low multiplicity decays:  $B^+ \to K^+ n \bar{n}$
- Charm decays:
	- $D \to K_L$  $D^{**}$  decays
- $B^+ \rightarrow K^+ K^0 \bar{K}^0$ Different corrections and/or systematics applied  $B^+ \to K^+ n \bar{n}$ :
	- Never been observed, but  $B^0 \to K_S^0 p \bar{p}$  studied by BaBar [Phys. Rev. D 76, 092004]
	- $B^0 \to K_S^0 p \bar{p}$  sees an enhancement at the  $p \bar{p}$  production threshold
	- Assuming isospin symmetry, reweight  $B^+ \to K^+ n \bar{n}$  events in the simulation

 $D \to K_L$ :

- **Contribution from prompt**  $K^+$  prodcution in  $B^+ \rightarrow D^{*0,+} K^+$  is important in the signal region
- Mainly due to sizeable, less-known  $X_c$  decays involving  $K_L$
- We study these decays in the sidebands data samples ш
- We determine a  $(1.30 \pm 0.1)$   $X_c \rightarrow K_L$  scaling from a fit to the signal region in the sidebands




# Diving deeper in BB background - B -> K+K0K0

Several decays show high signal-likeness, and need to be studied

Low multiplicity  $\blacksquare$  Charm decays: decays:

 $B^+ \to K^+ n \bar{n}$  $B^+ \rightarrow K^+ K^0 \bar{K}^0$   $D \to K_L$  $D^{**}$  decays

 $B^+ \to K^+ K^0 \bar{K}^0$ , several cases:

- Modeled in Belle II as a sum of phase space contribution and resonances
- BaBar paper finds complex Dalitz structure for  $B^+ \to K^+K^0_SK^0_S$  [Phys Rev D 85, 112010]
- $B^+ \rightarrow K^+ K^0_{\alpha} K^0_{\alpha}$  and  $B^+ \rightarrow K^+ K^0_{\alpha} K^0_{\alpha}$  phase space reweighted from BaBar paper
- $B^+ \rightarrow K^+ K^0_S K^0_L$  is trickier, likely dominated by  $\phi$ plus P-wave contribution
- Keep  $B^+ \to \phi K^+$  as is, reweight phase space to P-wave contribution
- Check correction in data using  $B^+ \to K^+ K^0_S K^0_S$ and  $B^0 \to K_S^0 K^+ K^-$



# Background composition



6.45%  $4.03\%$  $4.03%$  $3.23%$ 2.42%  $2.42%$  $2.42%$ 1.61%  $1.61\%$  $1.61\%$ 1.61% 1.61%  $0.81%$  $0.81\%$  $0.81\%$  $0.81%$  $0.81\%$ 

# Inclusive tag analysis



Two multivariate binary classifiers based on boosted decision trees (BDT)

A first filter uses 12 input variables to reduce data obtaining 34% efficiency (BDT1>0.9)

Key discrimination achieved by 35 inputs fed to  $BDT_2$ 

(Output mapped in a new variable  $\mu(BDT_2)$ ) defined to make signal efficiency is flat)

```
Signal region defined by:
BDT_1 > 0.9\mu(BDT_2) > 0.92
```
The analysis is developed using simulated samples. Data are used to derive corrections and validate them



- Continuum  $(q\bar{q})$  is  $40\%$
- B-meson decays 60% 47% from semileptonic with  $D \rightarrow KX$ , 52% from hadronic decays involving D and K





Off-resonance data used as well to better constraint background

 $\mu(BDT_2) \times q_{rec}^2 \times$  [on/off res] 2 bins 4 bins 3 bins 24 bins total

## From R. Volpe

### Binned likelihood fit to signal and 7 background categories

- Poisson uncertainties for data counts
- · Systematic uncertainties included in the fit as predicted rate modifiers with Gaussian likelihoods
- MC statistical uncertainties are included as nuisance parameters, per each bin and each fit category



statistical uncertainty on  $\mu = 1.1$ 

Measure a known decay mode to validate the background estimation

to measure  $B^+ \to \pi^+ K^0$  with the full nominal analysis applied

But:

- Pion ID instead of Kaon ID
- Different  $q^2$  bin boundaries
- · only on-res data used
- · only normalization syst included

$$
BR(B^+ \to \pi^+ K^0) = (2.5 \pm 0.5) \times 10^{-5}
$$

Consistent with PDG:  $BR(B^+ \to \pi^+ K^0) = (2.3 \pm 0.08) \times 10^{-5}$ 





# FEI efficiency

Graph-based Full Event Interpretation (graFEI) model based on graph network blocks [5] and trained on  $\Upsilon(4S) \to B^0(\to \nu\bar{\nu})\bar{B}^0(\to X)$  simulated signal events. Performances evaluated on simulated signal events and background from random combinations of tracks from  $B^0$  decays.



Figure 5: Schematic view of the graFEI model. The graph keeps the same structure while its features are updated.

Figure 6: Signal efficiency and background rejection for FEI and graFEI.

Signal efficiency (%)

 $\Omega$ 

 $\overline{2}$ 

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8

6

# Luminosity plan



Projection of integrated luminosity delivered by SuperKEKB to Belle II

Target scenario: extrapolation from 2021 run including expected improvements.

Base scenario: conservative extrapolation of SuperKEKB parameters from 2021 run



- . We start long shutdown 1 (LS1) from summer 2022 for 15 months to replace VXD. There will be other maintenance/improvement works of machine and detector.
- . We resume physics running from Fall 2023.
- A SuperKEKB International Taskforce (aiming to conclude in summer 2022) is discussing additional improvements.
- An LS2 for machine improvements could happen on the time frame of 2027-2028

## SM tension



Figure 2: Branching ratios of  $B \to K^{0*} \nu \bar{\nu}$  and  $B^+ \to K^+ \nu \bar{\nu}$ in the SM (black cross), where for graphical reasons the uncertainty in  $\mathcal{B}(B^+ \to K^+ \nu \bar{\nu})$  has been inflated to 10% to the value in  $(3)$ . In addition, the Belle II data  $(1)$  (vertical orange band) and the 90  $%$  CL excluded region  $(10)$  (horizontal gray area) are shown. The red (dark red) area (15) denotes the  $1\sigma$  $(2\sigma)$  region that is consistent with lepton flavor universality. The green area is the one consistent with  $(6)$  and  $(19)$ .

# **Prospects**



- BaBar combined 0.43 ab<sup>-1</sup>  $\overline{\nabla}$ Belle semileptonic 0.7 ab<sup>-1</sup> Δ
- Belle hadronic 0.7 ab<sup>-1</sup> Ō
- Belle II untagged 0.06 ab<sup>-1</sup>  $\Box$ 
	- Projection Belle II hadronic 0.5 ab<sup>-1</sup>
	- Projection Belle II semileptonic 0.5 ab<sup>-1</sup>

SM [B2TIP]

## **Prospects**

"no systs": all errors fixed to zero, fit is performed. We take the best fit. What is left is not exactly the stat. unc.

stat unc.: Take all the yields from the data hist, make every yield vary according to a Poisson and then perform the fit (with cysts.) for each toy.

Correlation b/w stat and cyst.



## in  $B$  centre of mass of mass

$$
\rho_{\text{K}*}^2 = (\rho_{\text{B}} - \rho_{\nu\overline{\nu}})^2
$$

becomes

$$
(m_B-E_{\nu\overline{\nu}})^2-\rho_{\nu\overline{\nu}}^2=m_{K^*}^2
$$

that is an hyperbola and has as asymptote

 $E_{\nu\overline{\nu}} + p_{\nu\overline{\nu}} = m_B$