

Improving quarkonia invariant mass resolution by measuring the response function of the ALICE muon spectrometer's trajectography chambers

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- **Context**
- **Procedure**
- **Preliminary results**
- **Resolutions**
- **Conclusion & Outlook**

Context - Quark-Gluon Plasma (QGP)

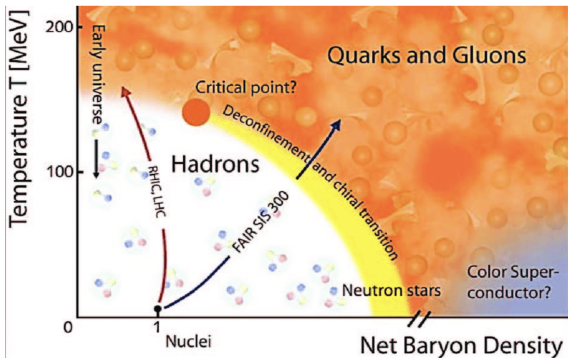
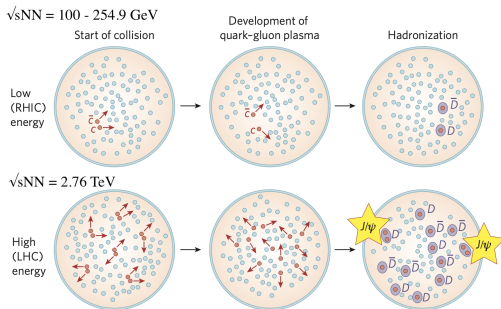


Illustration of the phase diagram of QCD matter

- quarks and gluons deconfinement ($\alpha_S \ll 1$)
- net baryon density $\simeq 0$ (at LHC)
- $k_B T_c \simeq 155$ MeV (LQCD)
- $\simeq 10$ fm/c ($3 \cdot 10^{-23}$ s) (at LHC)

Context - Quarkonia in QGP



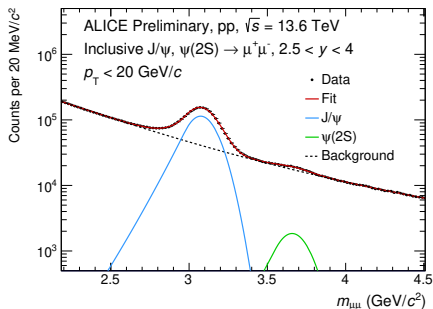
suppression & recombination of charmonia in a QGP

- heavy quark weakly bound states ($c\bar{c}$ and $b\bar{b}$)
- produced at the early stages of the collision
- charmonia/bottomonia as a (hard) probe

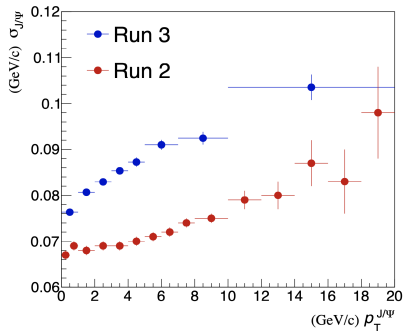
$$J/\psi(1S) \rightarrow \mu^+\mu^- (5.961 \pm 0.033)\%$$

$$\Upsilon(1S) \rightarrow \mu^+\mu^- (2.48 \pm 0.05)\%$$

Context - Motivation



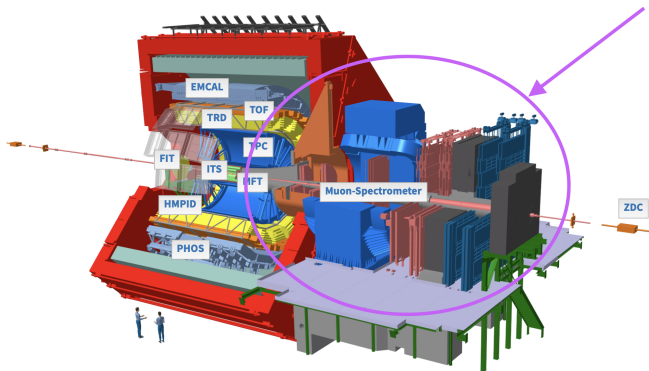
invariant mass of J/ψ and $\psi(2S)$,
ALICE Run 3



invariant mass resolution of J/ψ for
different $p_T^{J/\psi}$ obtained by ALICE

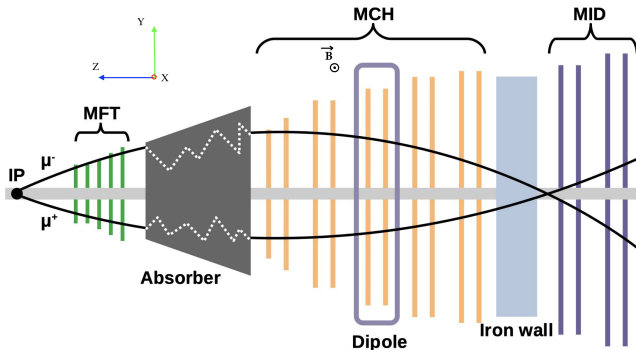
Context - A Large Ion Collider Experiment (ALICE)

- One of the four major experiments at the CERN's LHC
- Dedicated to the QGP



ALICE detector overview

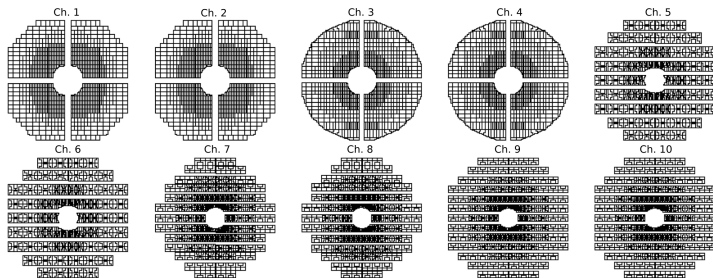
Context - Muon Spectrometer



Overview of the Muon Spectrometer with the Muon Forward Tracker (MFT)

- $-4 < \eta < -2.5$
- **Muon IDentifier** : detect μ crossing the iron wall
- **Muon CHambers** : 5 stations \rightarrow 10 chambers

Context - Muon Chambers



Geometry of the Muon Chambers (MCH)

→ Each chamber is divided into parts :

- Quadrants (Ch. 1-4)
- Slats (Ch. 5-10)

→ Each segmentation (within a part) has a pad arrangement

Context - Inside the Muon Chambers

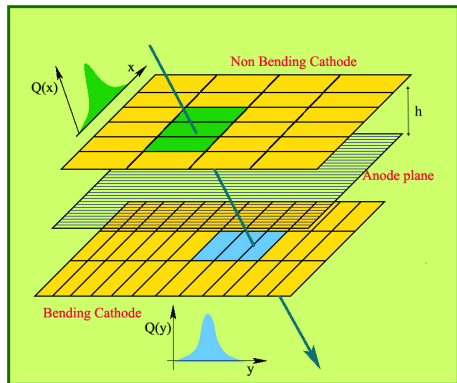


image from Sanjoy Pal

Bending : along with the direction of the magnetic field

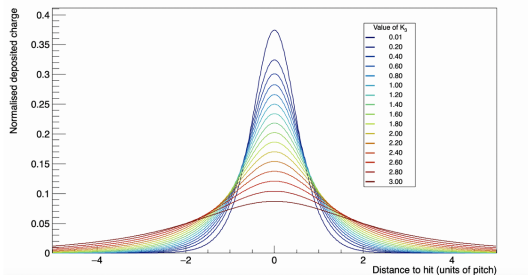
- **Multi Wire Proportional Chamber (MWPC)**
- h : anode-cathode separation distance
- Cathodes planes segmented into pads (Cathode Pad Chamber)
- Bending $\Rightarrow \Delta Y = \text{cste}$
- Non Bending $\Rightarrow \Delta X = \text{cste}$
- Charge deposition on pads \Rightarrow cluster

Context - Charge distribution properties

- Charge distribution in a MWPC has been shown to follow a **Mathieson-Gatti** distribution (normalized and centered at μ):

$$\rho\left(\lambda = \frac{x}{h}\right) = 2K_1 \frac{1 - \tanh^2(K_2(\lambda - \mu))}{1 + K_3 \tanh^2(K_2(\lambda - \mu))}$$

due to symmetry, K_1 and $K_2 = f(K_3)$.

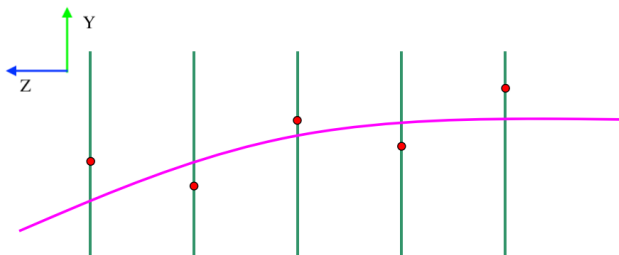


- For a cathode **plane** :

$$\rho(\lambda_X, \lambda_Y) = \rho(\lambda_X)\rho(\lambda_Y) \Rightarrow \text{Cov}(X, Y) = 0$$

Context - Clusters & tracks

- Reconstruction of cluster's coordinates by fitting the pad charge distributions with a Mathieson-Gatti function with fixed K_{3X} and K_{3Y}
- Clusters are then combined to reconstruct the muon tracks



→ The plane ZY is the most important one
$$\rho[\text{GeV}/c] = 0.3B[T]\rho[m]$$

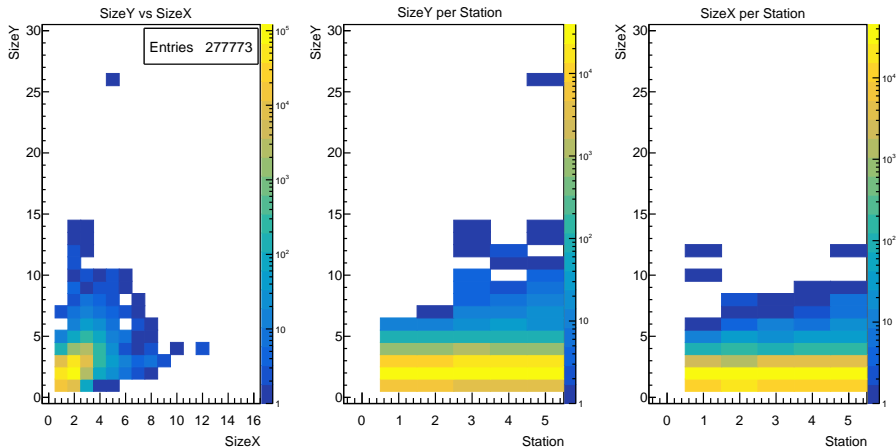
- The shape of the Mathieson-Gatti function used in ALICE software is fixed
- BUT these shapes do not reproduce the measured pad charge distributions
- Using better shapes \rightarrow improve clusters \rightarrow improve the invariant mass resolution
- From a selection of data \rightarrow extract $K_{3\gamma}$ and compare the spacial resolution with the previous one

PROCEDURE

Selections :

- Run 3 (2022), p-p $\sqrt{s} = 13.6 \text{ TeV}$
- Track selections :
 - $p_{tot} > 10 \text{ GeV}$
 - Tracks within $\eta \in]-4; -2.5[$
 - Must match with the **Muon Identifier**
 - Reconstructed track close to the primary interaction vertex
- cluster selections :
 - Clusters from chamber's parts that don't have a low HV
 - **Single Cluster**
 - Bending & non-bending planes hit
 - A charge asymmetry $\left(\left| \frac{Q_B - Q_{NB}}{Q_B + Q_{NB}} \right| \right)$ less than 0.5

Procedure - Clusters size



Informations on the selected clusters of the RUN3

→ Most of the selected clusters have a size between 1-3 pads

Procedure - Fitting methods

- Use MLS / LS methods for fitting with *Minuit2/MIGRAD* as a minimizer:

$$\chi^2(\boldsymbol{\theta}) = \sum_{i=1}^N \frac{(q_i - f_i(\boldsymbol{\theta}))^2}{\sigma_i^2}$$

→ $f_i = E[q_i]$ and $\boldsymbol{\theta} = \{X, Y, K_{3Y}\}$ estimate parameters

→ $MLS \equiv \sigma_i = \sqrt{q_i}$ and $LS \equiv \sigma_i = \sqrt{f_i}$ (Poisson distribution)

- It is also possible to estimate the number of total charge withing cathode adding a new parameter to $f_i(\boldsymbol{\theta}) \rightarrow f_i(\boldsymbol{\theta}, Q_{tot})$ (denoted as LS+ and MLS+)

Procedure - Fitting methods

- **2D (classical)** : Mix bending and non-bending pads together.
Free parameters : $\theta = \{X, Y, K_{3Y}\} / \theta = \{X, Y, K_{3Y}\} \& \langle Q_{tot} \rangle$

$$f_i(\theta) = \langle Q_{tot} \rangle \int_{\lambda_{X,i}^{min}}^{\lambda_{X,i}^{max}} \int_{\lambda_{Y,i}^{min}}^{\lambda_{Y,i}^{max}} \rho(\lambda; \theta) d\lambda_X d\lambda_Y$$

(Implemented in ALICE software with MLS method and $\theta = \{X, Y\}$)

- **1D** : (Only work on the bending plane) project the charges on the Y axis. Free parameters : $\theta = \{Y, K_{3Y}\} / \theta = \{Y, K_{3Y}\} \& Q_{tot,B}$

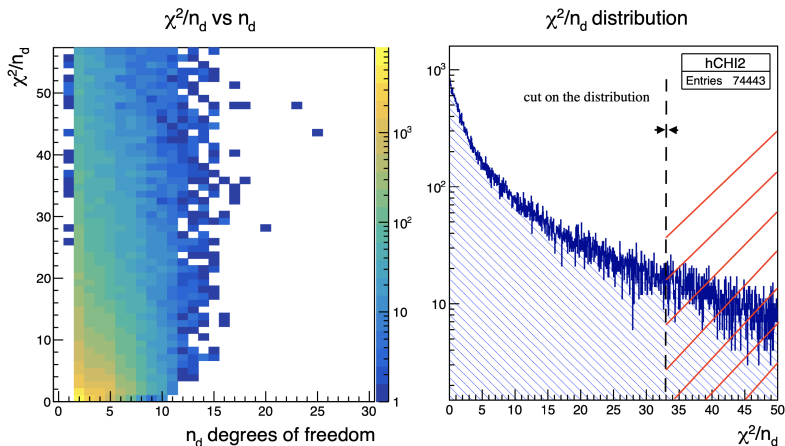
$$f_i(\theta) = Q_{tot,B} \int_{-\infty}^{+\infty} \int_{\lambda_{Y,i}^{min}}^{\lambda_{Y,i}^{max}} \rho(\lambda; \theta) d\lambda_X d\lambda_Y$$

Methods	1D	2D mixing
MLS	3_B	$3_B + 2_{NB}$
MLS+	$4_B (!)^1$	$3_B + 2_{NB}$
LS+	$4_B (!)^1$	$3_B + 2_{NB}$

¹: only 1% of the selected clusters

PRELIMINARY RESULTS

Preliminary Results - χ^2/n_d selections (2D MLS)

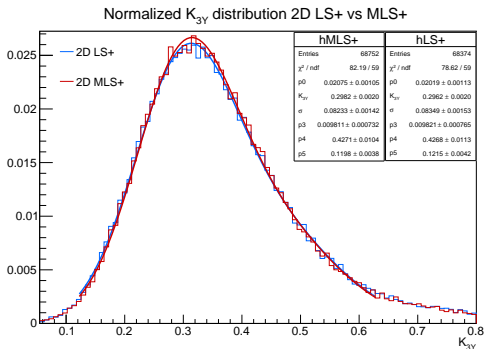


χ^2/n_d results for the 2D MLS method

→ Rejection of "bad" χ^2/n_d set to 7.5% for all methods

Preliminary Results - $K_{3\gamma}$ distribution for the different methods

→ Pads charge uncertainty



Methods	$K_{3\gamma}$	$\sigma_{K_{3\gamma}}$
LS+	0.2962	0.08349
MLS+	0.2982	0.08233

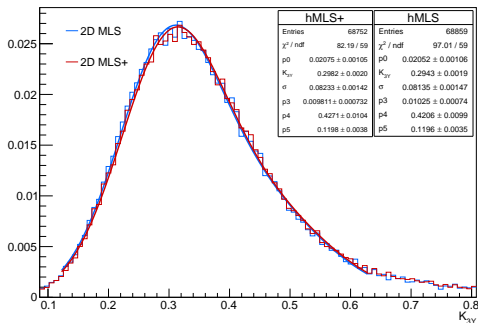
*data fitted with a crystalball function

difference between the MLS+ and LS+ method for 2D

Preliminary Results - $K_{3\gamma}$ distribution for the different methods

→ Total charge $\langle Q_{tot} \rangle$ is left free or not

Normalized $K_{3\gamma}$ distribution 2D MLS+ vs MLS

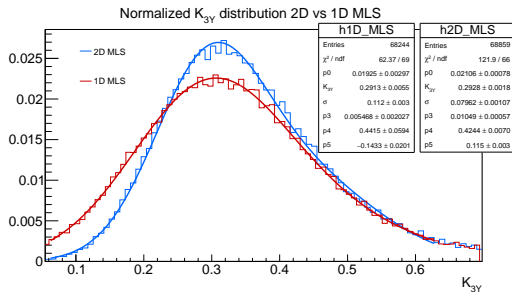


Methods	$K_{3\gamma}$	$\sigma_{K_{3\gamma}}$
MLS	0.2943	0.08135
MLS+	0.2982	0.08233

*data fitted with a crystalball function

difference between the LS+ and MLS method for 2D

Preliminary Results - K_{3Y} distribution for the different methods



Methods	K_{3Y}	$\sigma_{K_{3Y}}$
2D MLS	0.2928	0.07962
1D MLS	0.2913	0.112

**data fitted with a crystalball function*

difference between the 1D and 2D method for MLS

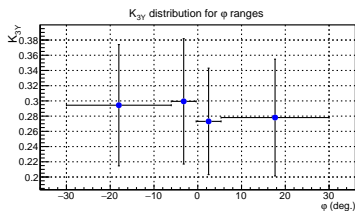
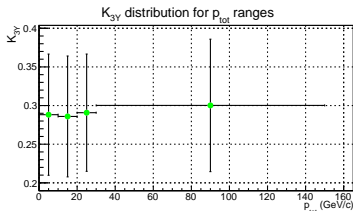
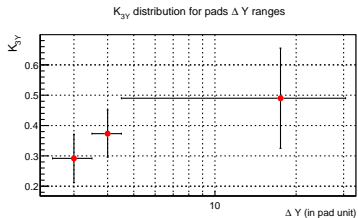
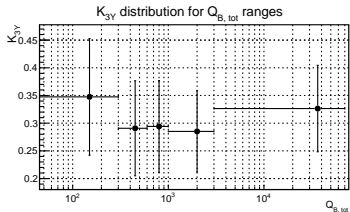
Preliminary Results - K_{3Y} distribution for the different methods

- Consistency between the methods
- Choice between two methods based on :
 - The lowest standard deviation
 - Keep the one with the least free parameters

Methods	K_{3Y}	$\sigma_{K_{3Y}}$
2D MLS	0.2928	0.07962

- **Next step** : influence of others variables on K_{3Y}
 - total charge in bending plane : $Q_{B,tot}$
 - total momentum : p_{tot}
 - fired pads size in bending plane : ΔY
 - angle between the track and the z-axis : φ

Preliminary Results - $K_{3\gamma}$ vs $Q_{B,tot}$, p_{tot} , ΔY , φ



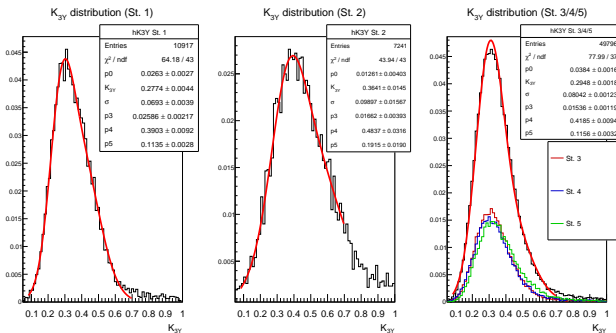
$Q_{B,tot} \rightarrow$ constant

$p_{tot} \rightarrow$ constant

$\Delta Y \rightarrow$ no conclusion (! stats)

$\varphi \rightarrow$ constant

Preliminary Results - K_{3Y} distribution per station ($Q_{B,tot} > 300$ ADC & $\Delta Y < 5$)



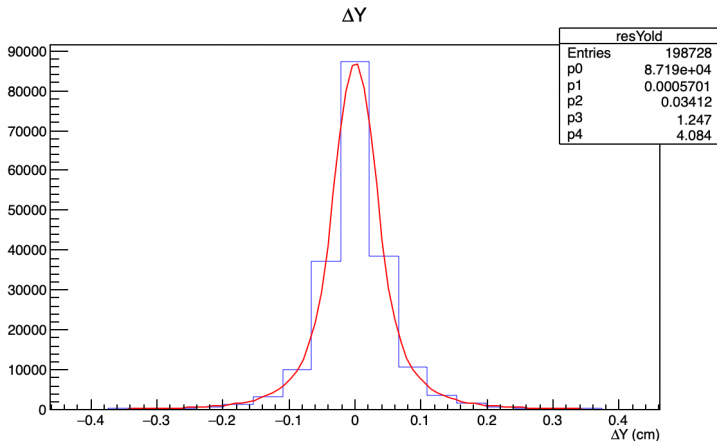
Station	K_{3Y}	σK_{3Y}
St. 1	0.277	0.069
St. 2	0.364	0.099
St. 345	0.295	0.080

Station	old K_{3Y}
St. 1	0.570
St. 2	0.584
St. 345	0.584

RESOLUTION

Resolution - Residuals & Resolution

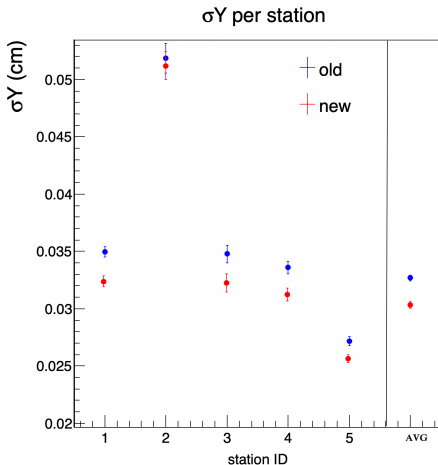
- **Residual** : $\Delta(\text{track}(y) - \text{cluster}(y))$
- **Spatial Resolution**: $\sigma(\Delta(\text{track}(y) - \text{cluster}(y)))$



example of the extraction of the spatial resolution from the residuals

Resolution - Resolution comparison

- **Blue** points : with the previous values of K_{3Y} .
- **Red** points : with the new ones.



Conclusion & Outlook

- $K_{3\gamma}$ parameters fitted to the data are smaller than the predicted values
- **Cluster resolution improved** with the new $K_{3\gamma}$ values :
 $\sigma_{old} = 326.77 \pm 2.72 \mu m \rightarrow \sigma_{new} = 302.79 \pm 2.64 \mu m$
 \Rightarrow gain : 7.5%
- Results presented at QGP France and at the next ALICE Muon Week
- The next step is to run the ALICE reconstruction software with the new $K_{3\gamma}$ parameters and see how much it influences the invariant mass resolution of quarkonia ($\sigma(p) \propto \sigma(Y)p^2$).
- Future studies :
 - same procedure for $K_{3\chi}$
 - charge uncertainty on pads
 - review of Mathieson & Gatti function to understand the difference

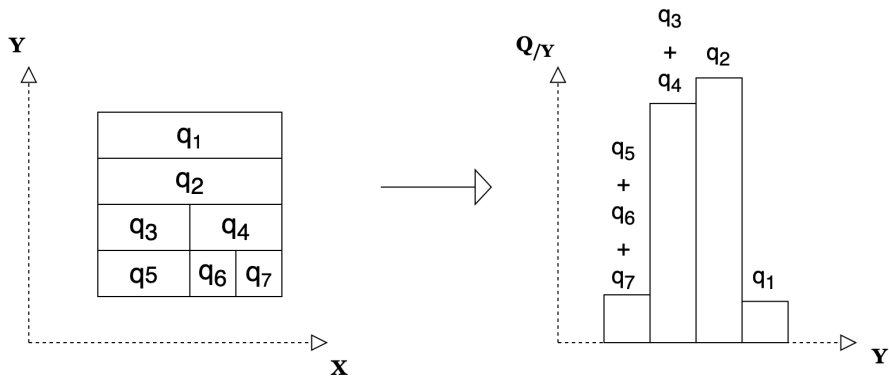
REFERENCES

References

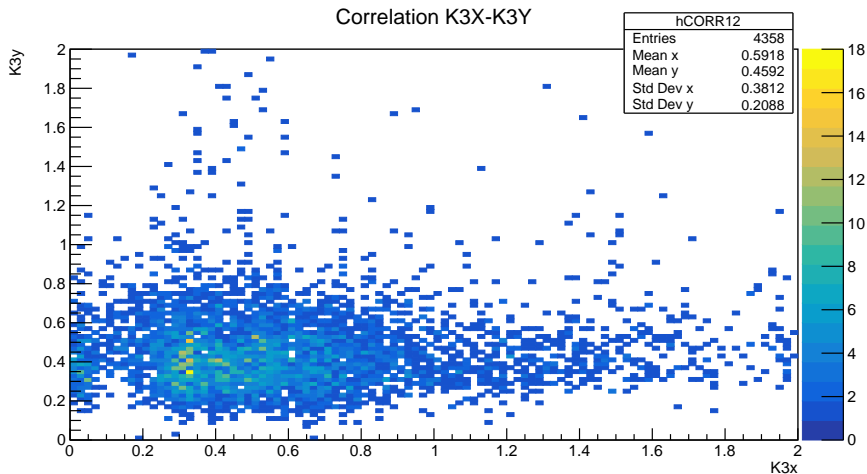
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BACKUP

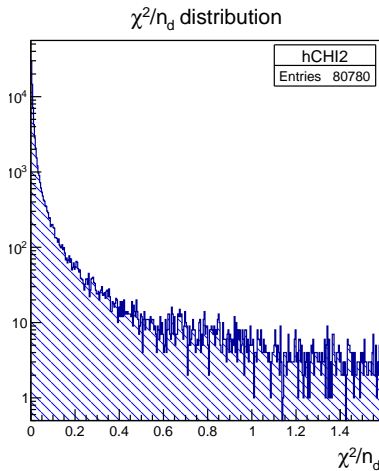
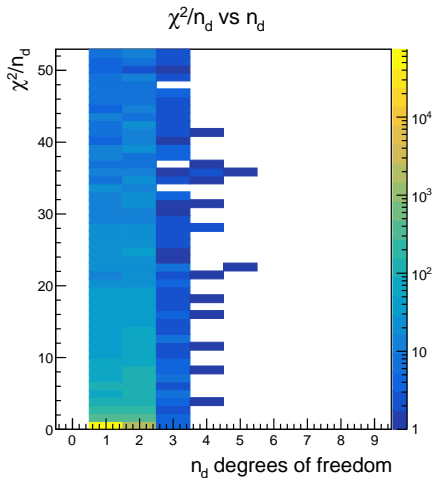
Backup



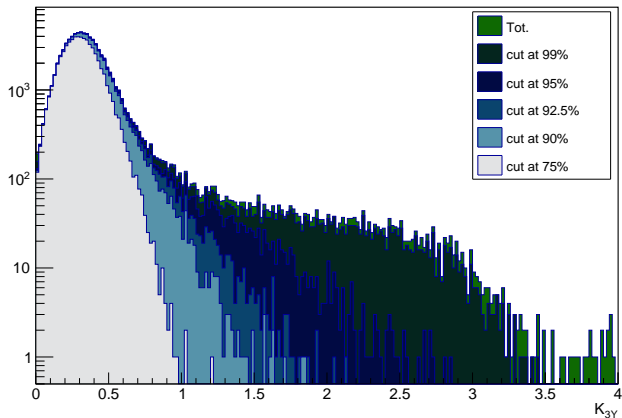
Charge pad projected on the Y-axis



Correlation between K_{3x} & K_{3y}

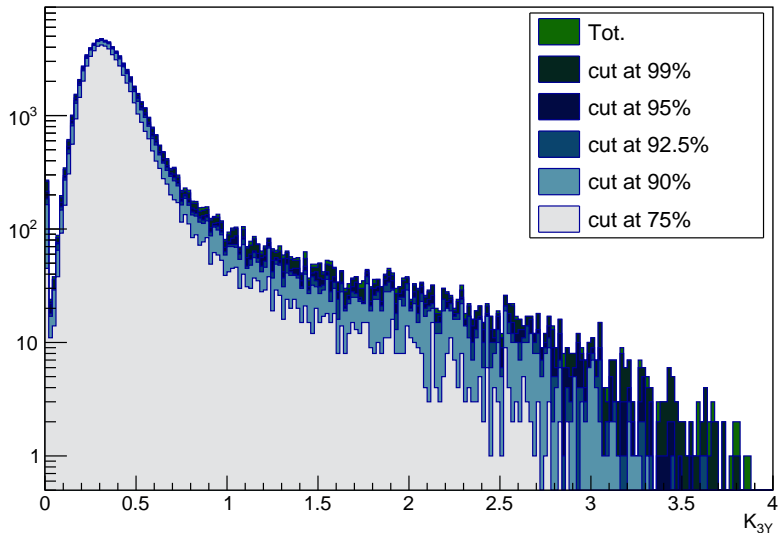


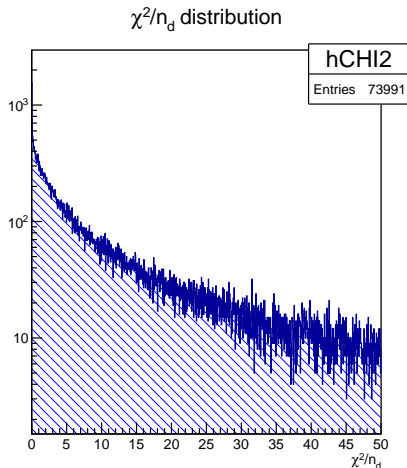
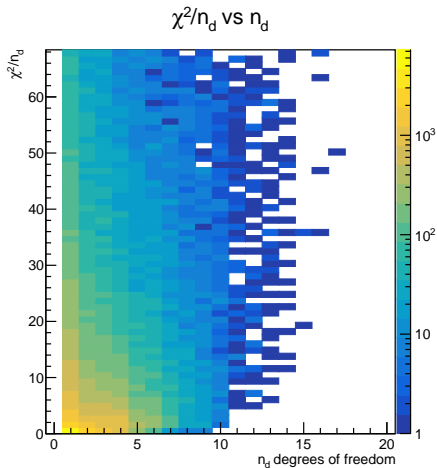
χ^2/n_d results for the 1D MLS method

K_{3Y} distribution for different cuts

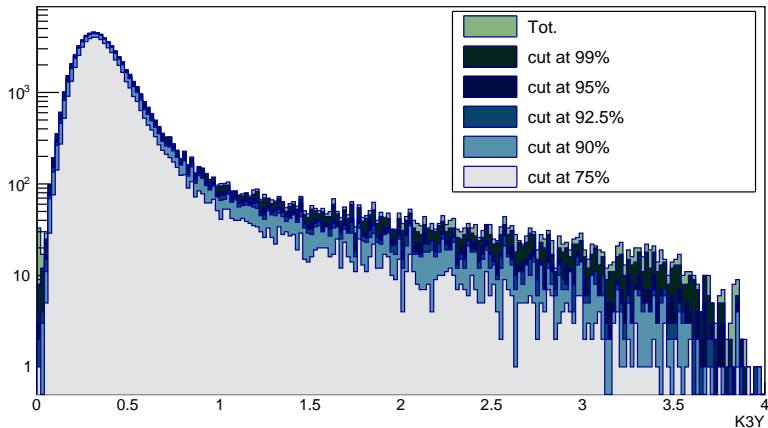
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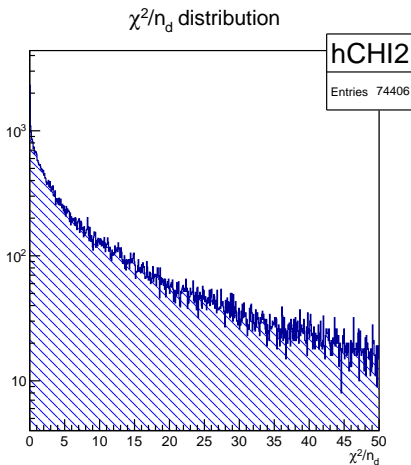
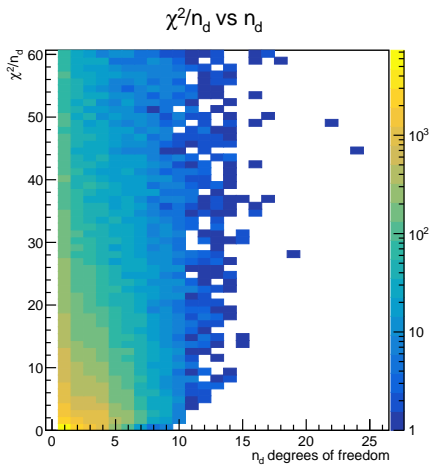




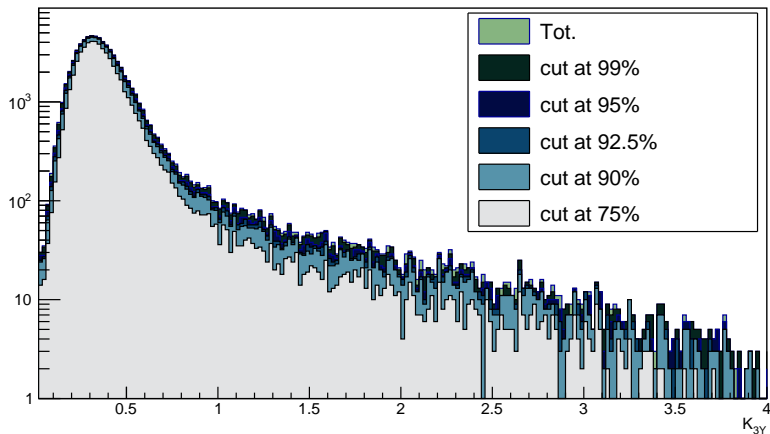
χ^2/n_d results for the 2D LS+ method

K_{3Y} distribution for different cuts

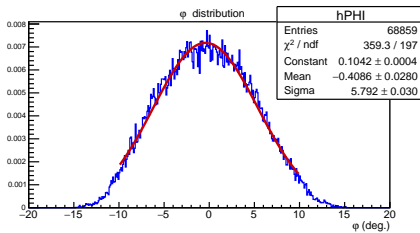
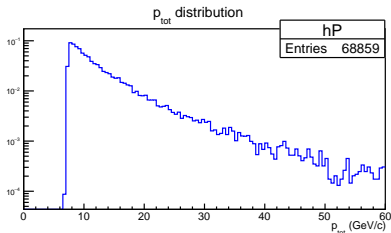
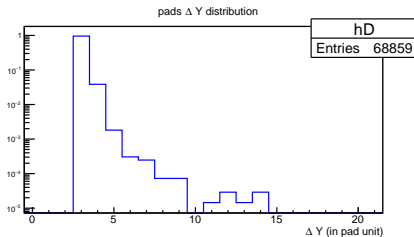
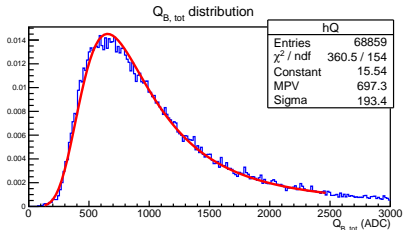
χ^2/n_d cut for the 2D LS+ method



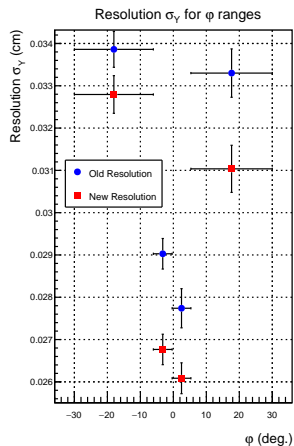
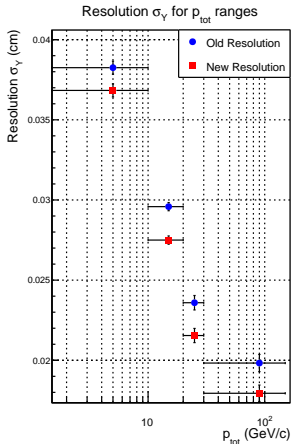
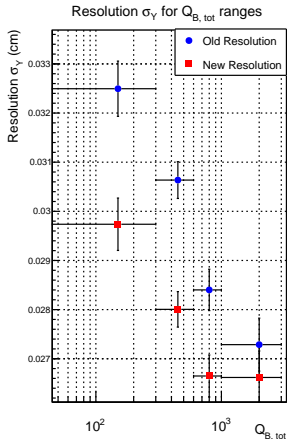
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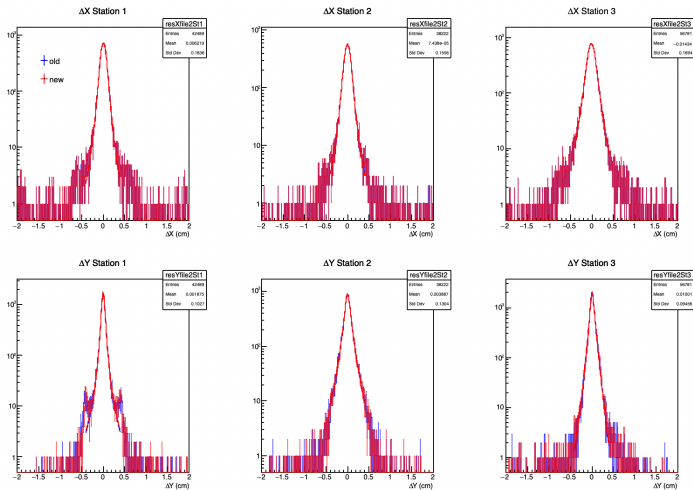
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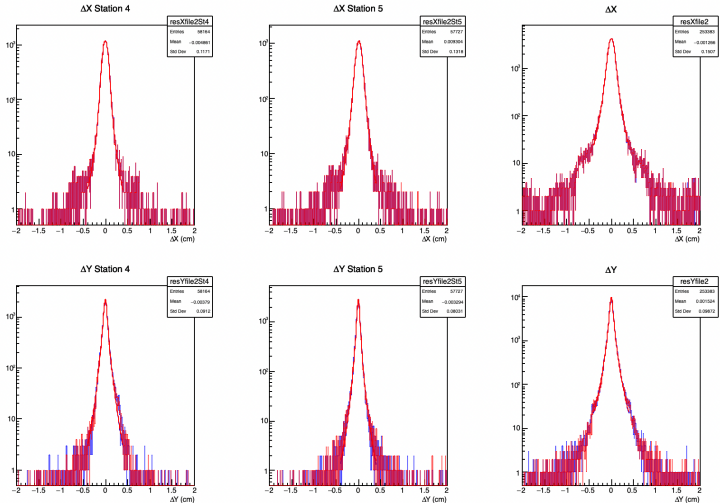
variables distribution



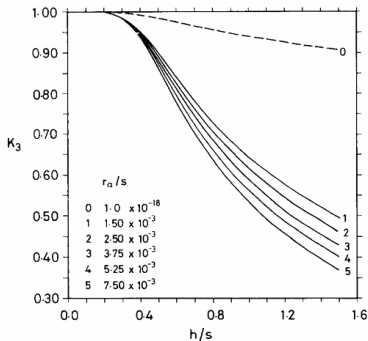
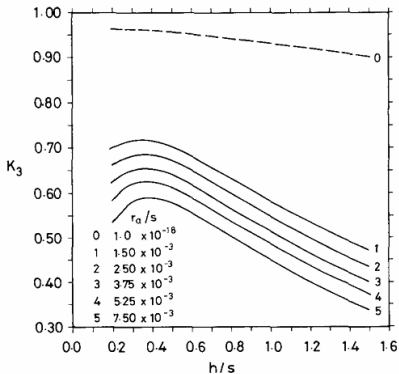
spatial resolution as a function of variable

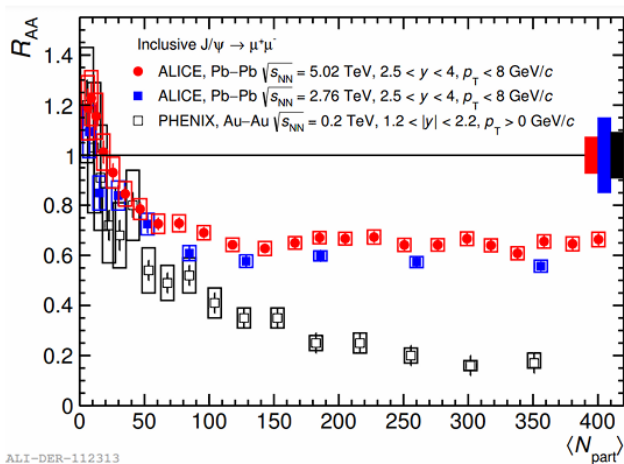


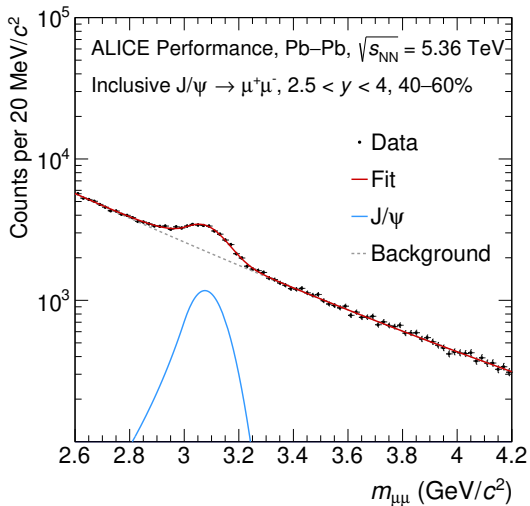
Residuals St. 1/2/3



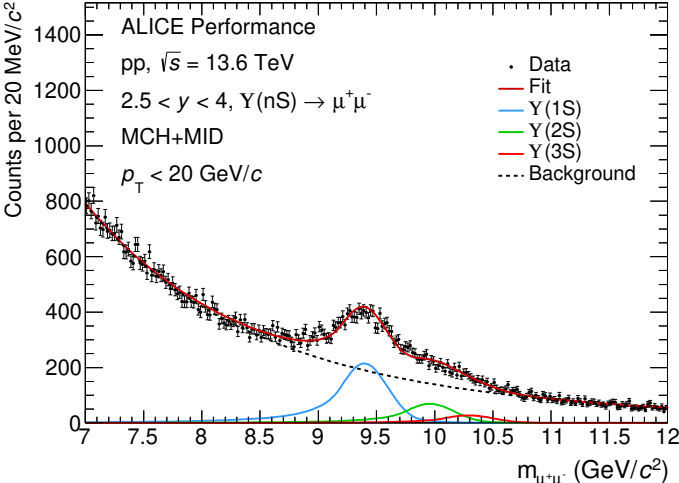
Residuals St.4/5 and tot




 R_{AA}



ALI-PERF-568655



ALI-PERF-549856