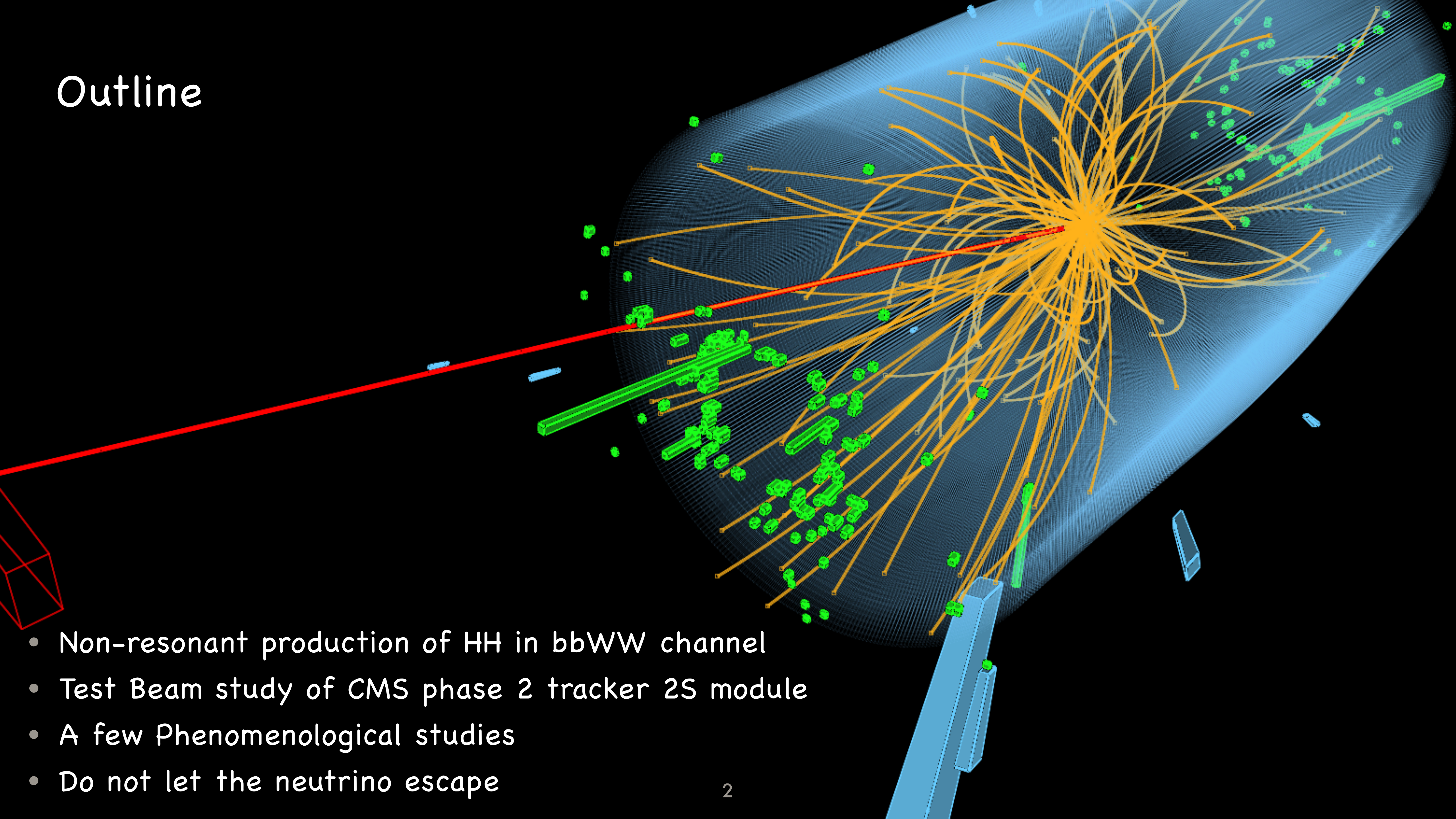


Search for Non-Resonant HH production at the LHC

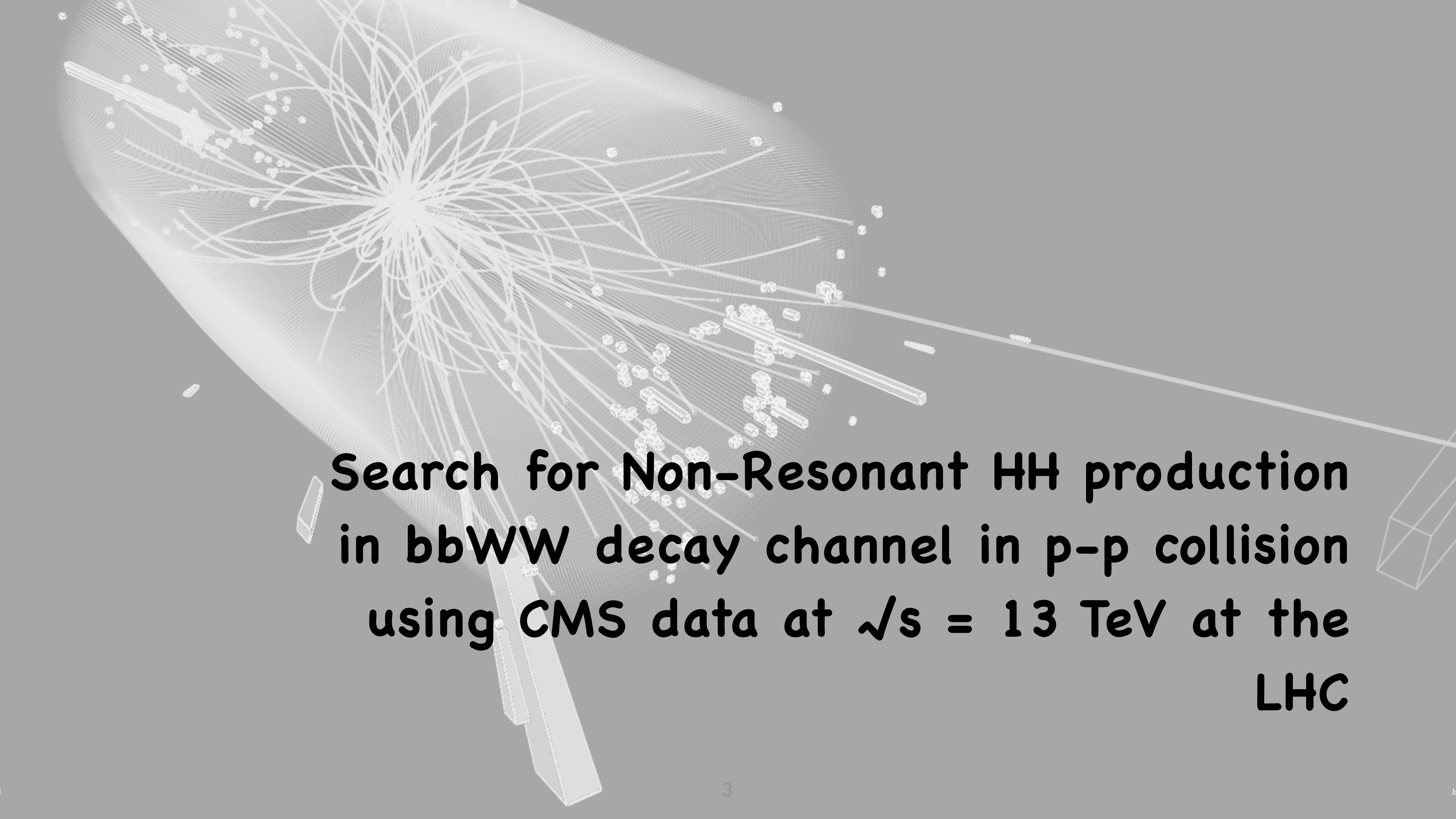
Gourab Saha

November 20, 2023
DRS Seminar, IPHC, Strasbourg

Outline

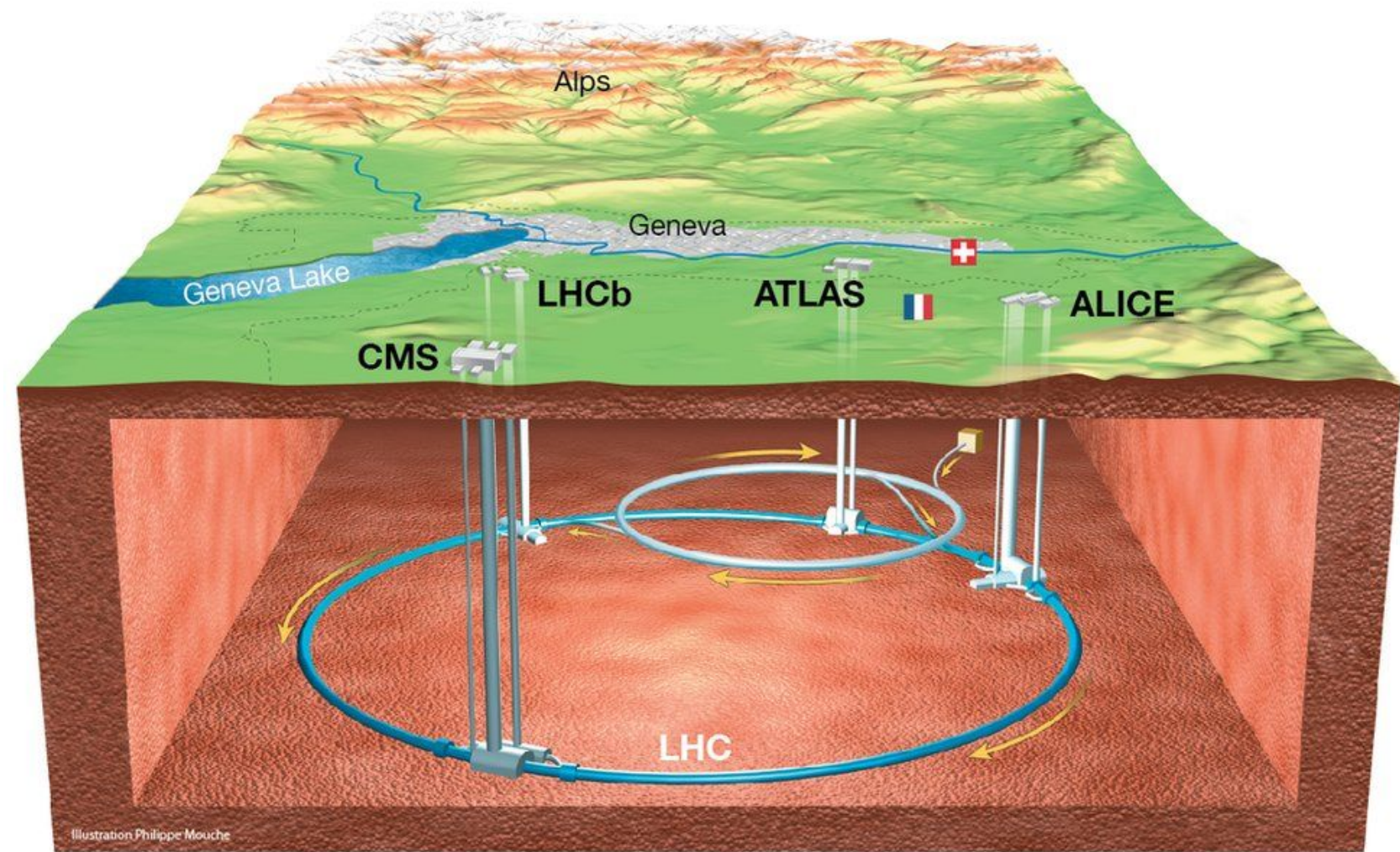


- Non-resonant production of HH in bbWW channel
- Test Beam study of CMS phase 2 tracker 2S module
- A few Phenomenological studies
- Do not let the neutrino escape



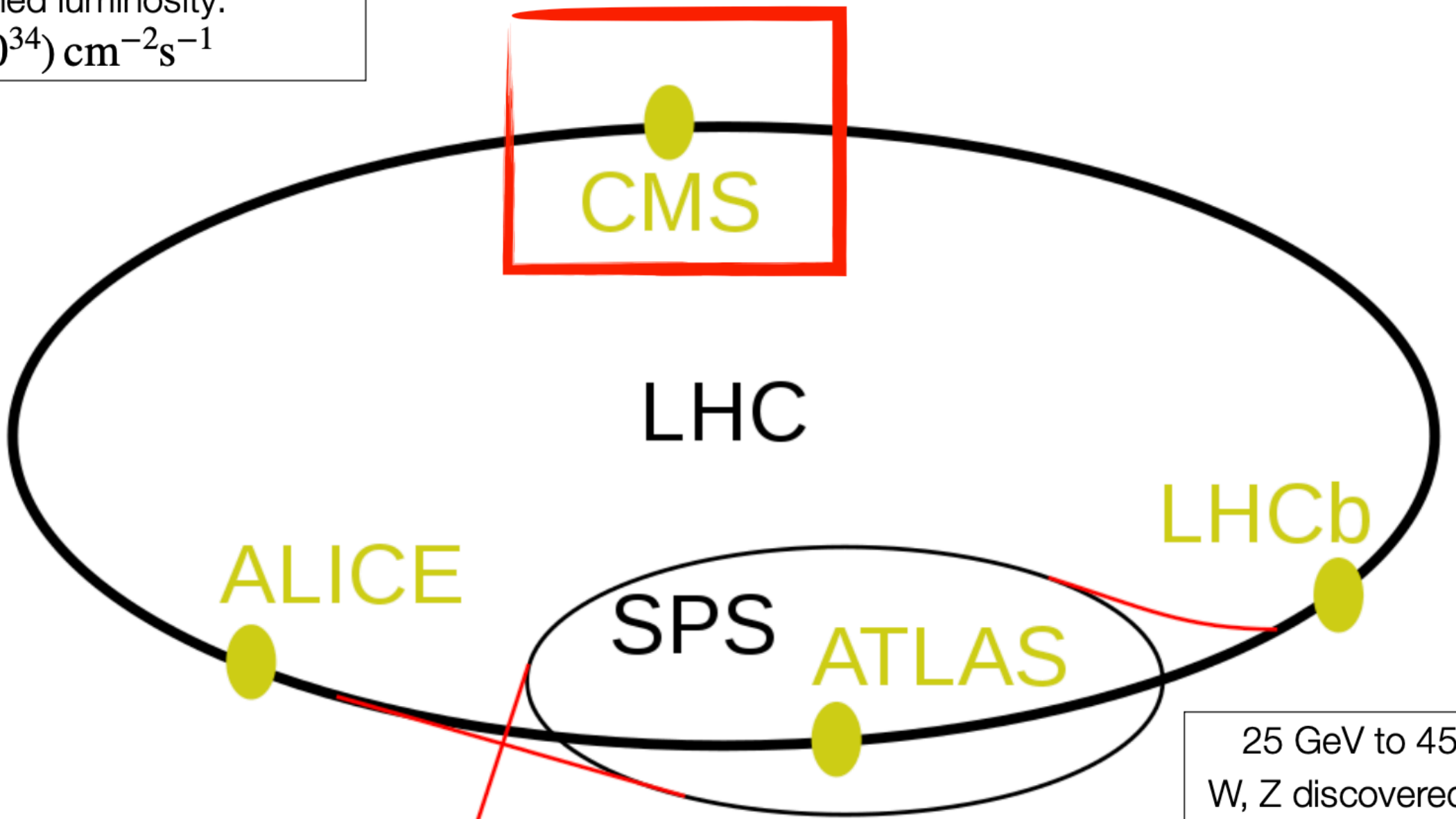
**Search for Non-Resonant HH production
in bbWW decay channel in p-p collision
using CMS data at $\sqrt{s} = 13$ TeV at the
LHC**

LHC



Circumference: 27 km
Centre of mass energy: 13 TeV
Designed luminosity:
 $\mathcal{O}(10^{34}) \text{ cm}^{-2} \text{ s}^{-1}$

450 GeV to 6.5 TeV
Higgs discovered



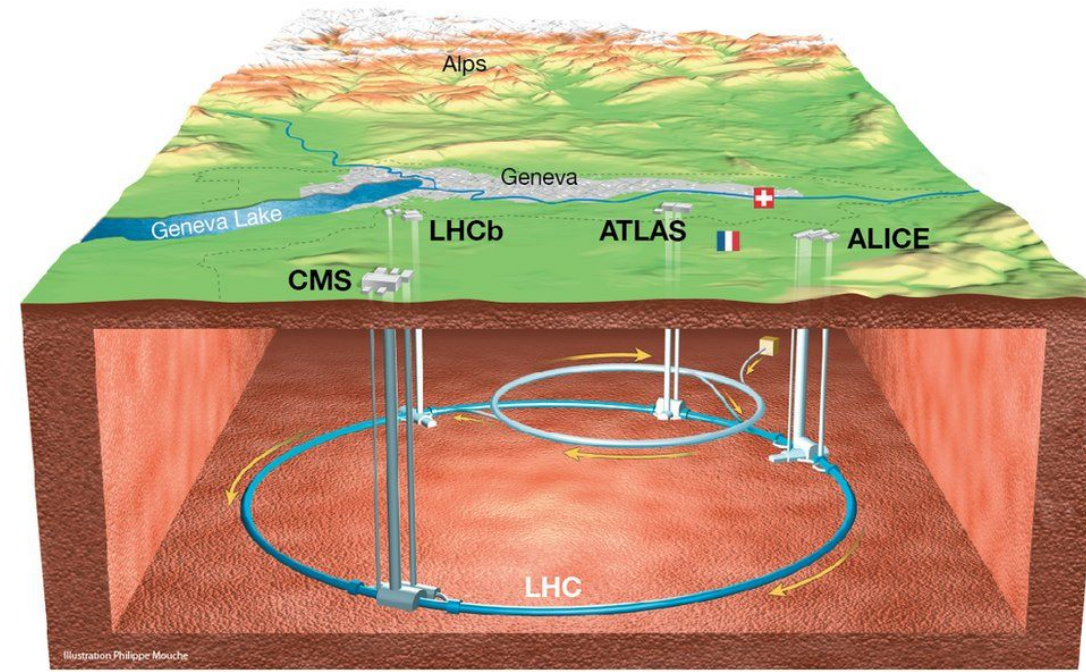
25 GeV to 450 GeV
W, Z discovered (Sp \bar{p} S)

Proton or Ion beam
p
Pb



Protons to PSB:
acceleration 2 GeV
PS: pushes to 25 GeV

CMS



Total weight : 14,000 tonnes
 Overall diameter : 15.0 m
 Overall length : 28.7 m
 Magnetic field : 3.8 T

STEEL RETURN YOKE
 12,500 tonnes

SILICON TRACKERS
 Pixel (100x150 μm) $\sim 1\text{m}^2 \sim 66\text{M}$ channels
 Microstrips (80x180 μm) $\sim 200\text{m}^2 \sim 9.6\text{M}$ channels

SUPERCONDUCTING SOLENOID
 Niobium titanium coil carrying $\sim 18,000\text{A}$

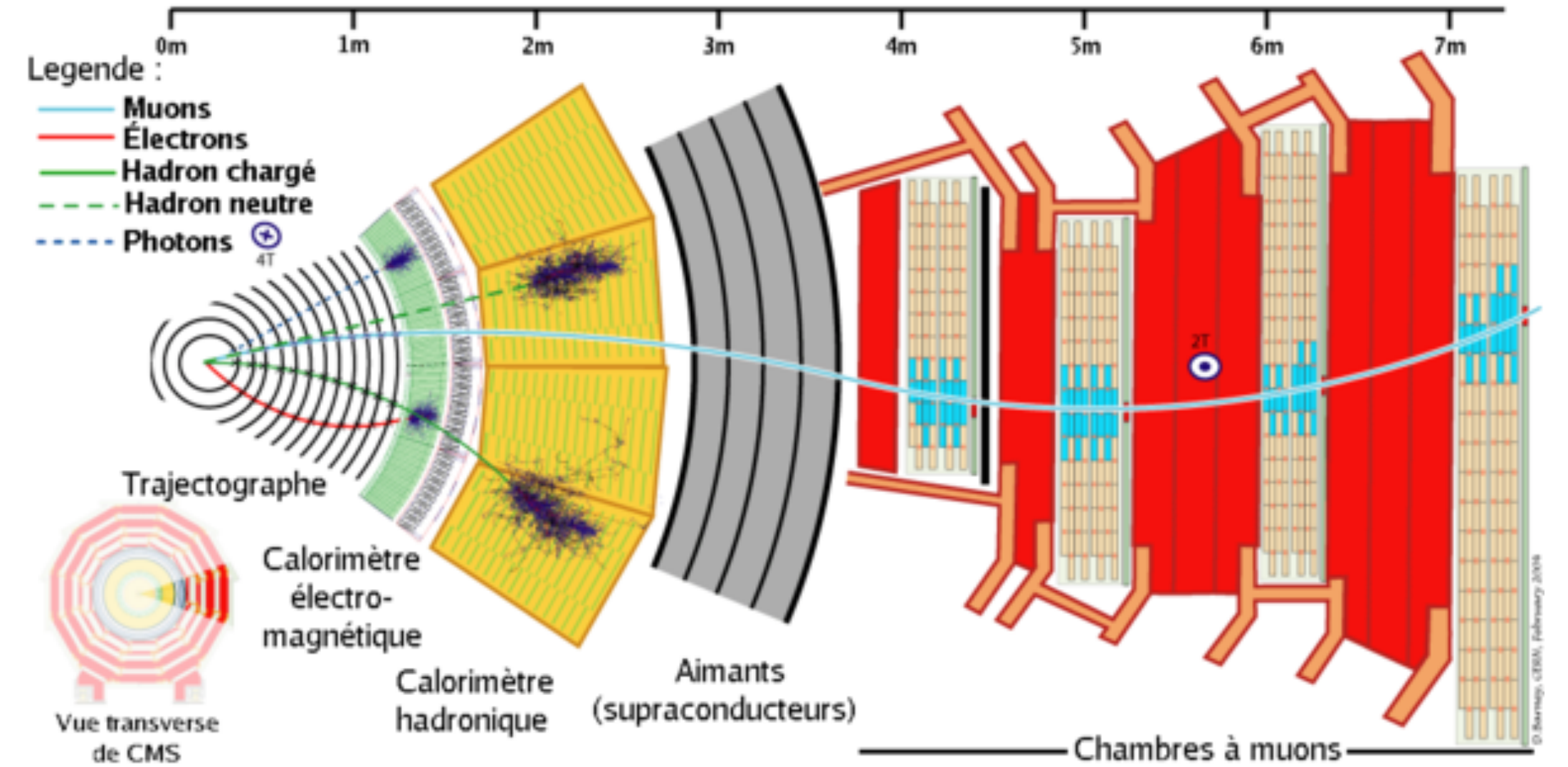
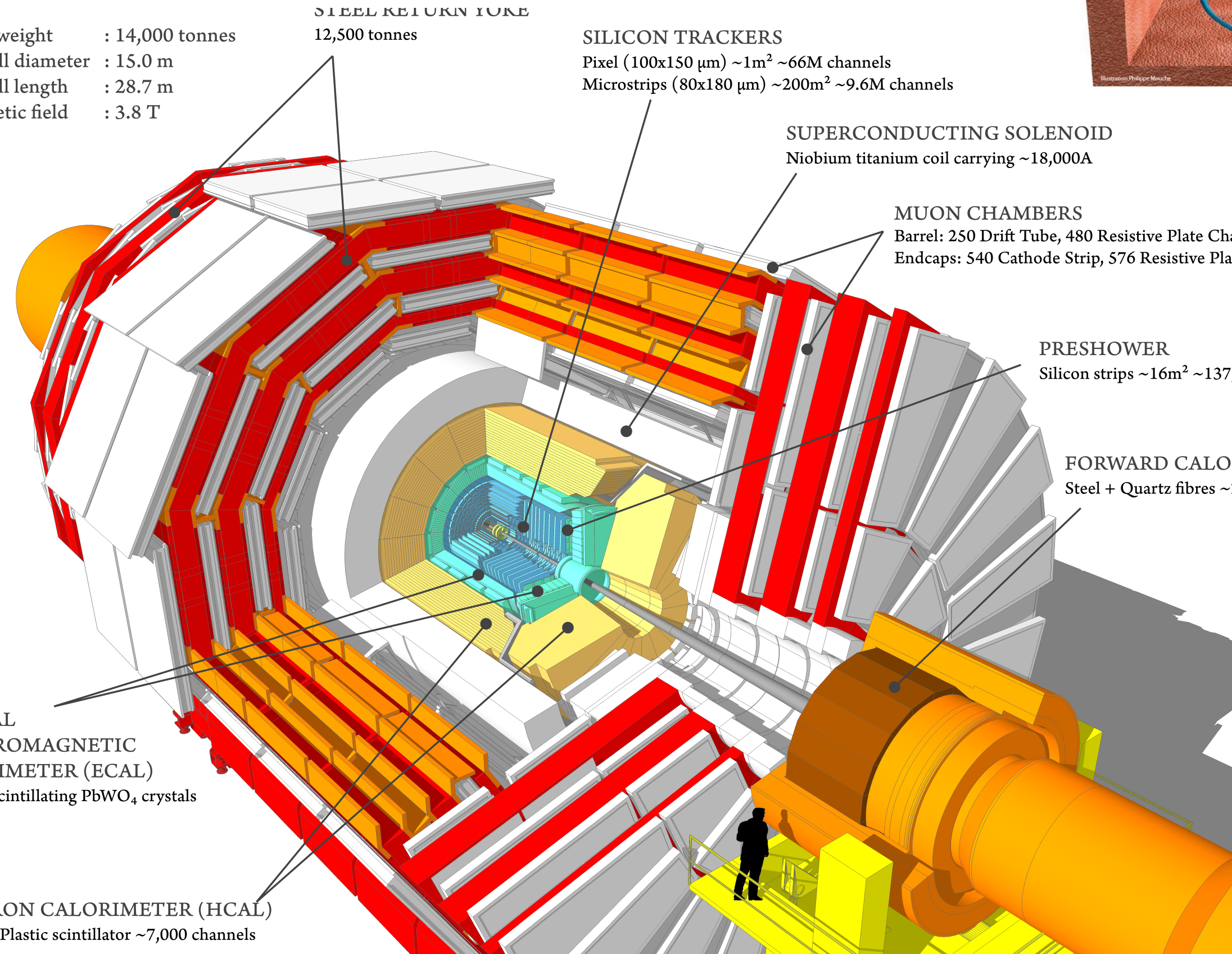
MUON CHAMBERS
 Barrel: 250 Drift Tube, 480 Resistive Plate Chambers
 Endcaps: 540 Cathode Strip, 576 Resistive Plate Chambers

PRESHOWER
 Silicon strips $\sim 16\text{m}^2 \sim 137,000$ channels

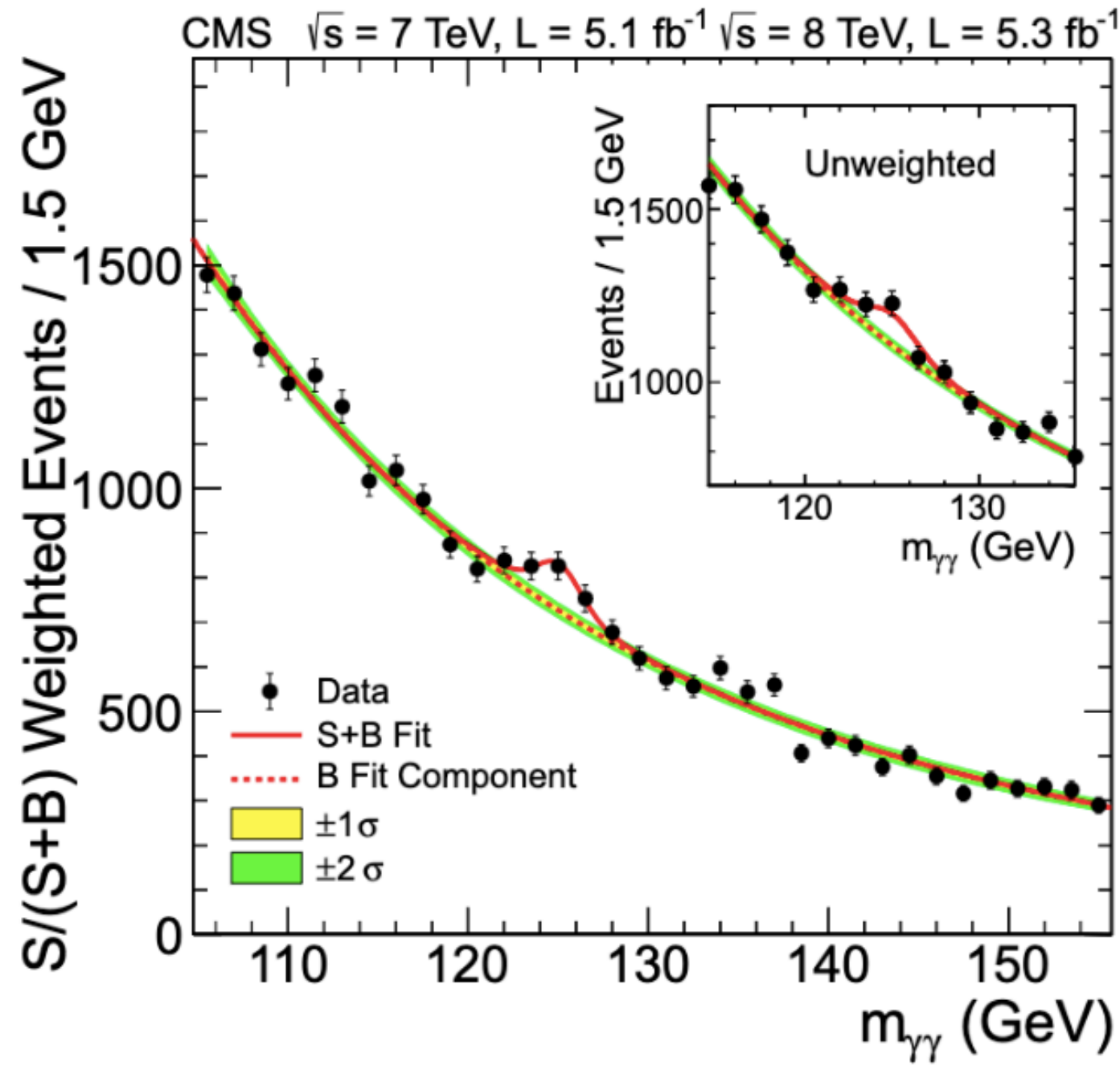
FORWARD CALORIMETER
 Steel + Quartz fibres $\sim 2,000$ Channels

CRYSTAL ELECTROMAGNETIC CALORIMETER (ECAL)
 $\sim 76,000$ scintillating PbWO_4 crystals

HADRON CALORIMETER (HCAL)
 Brass + Plastic scintillator $\sim 7,000$ channels

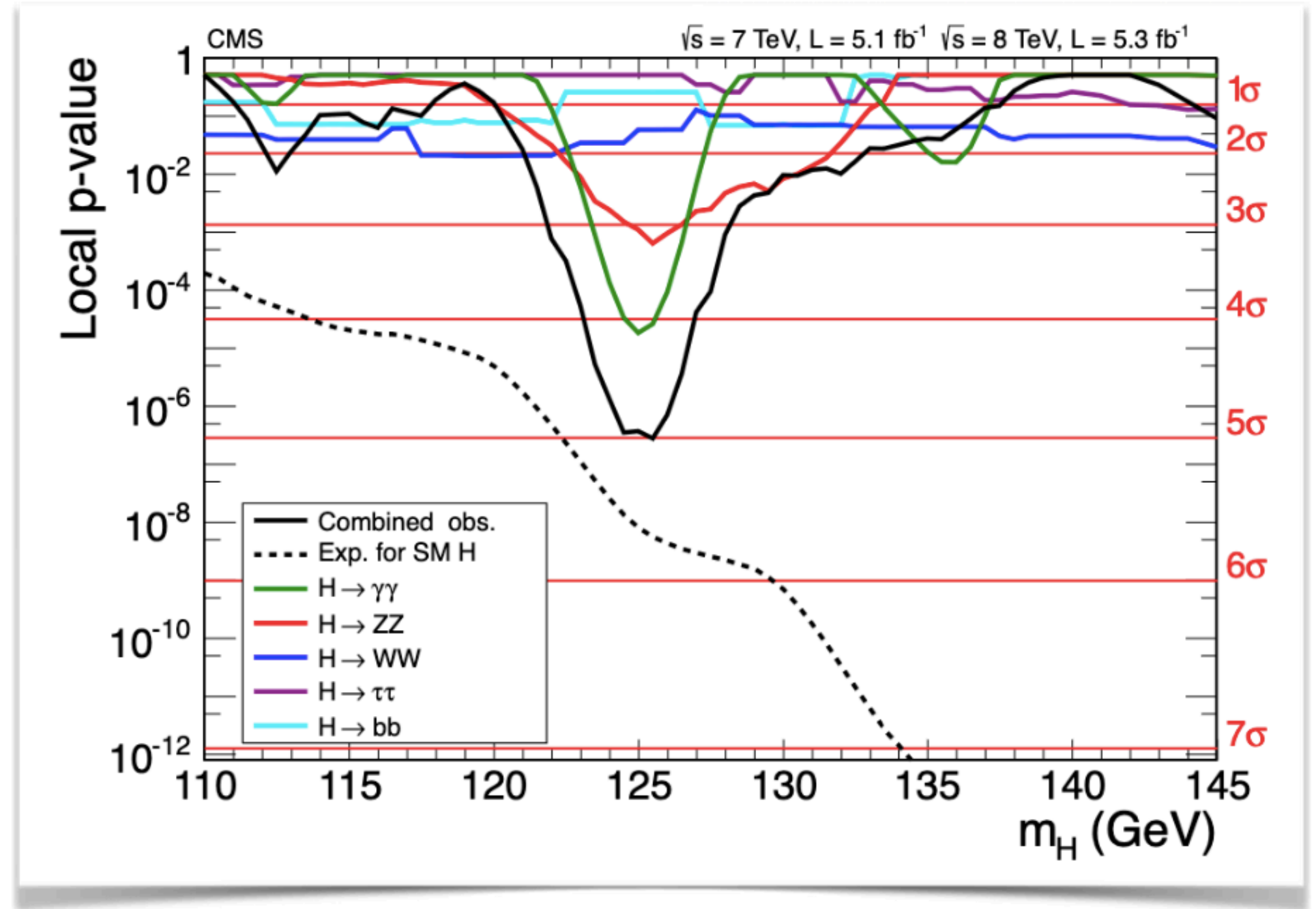
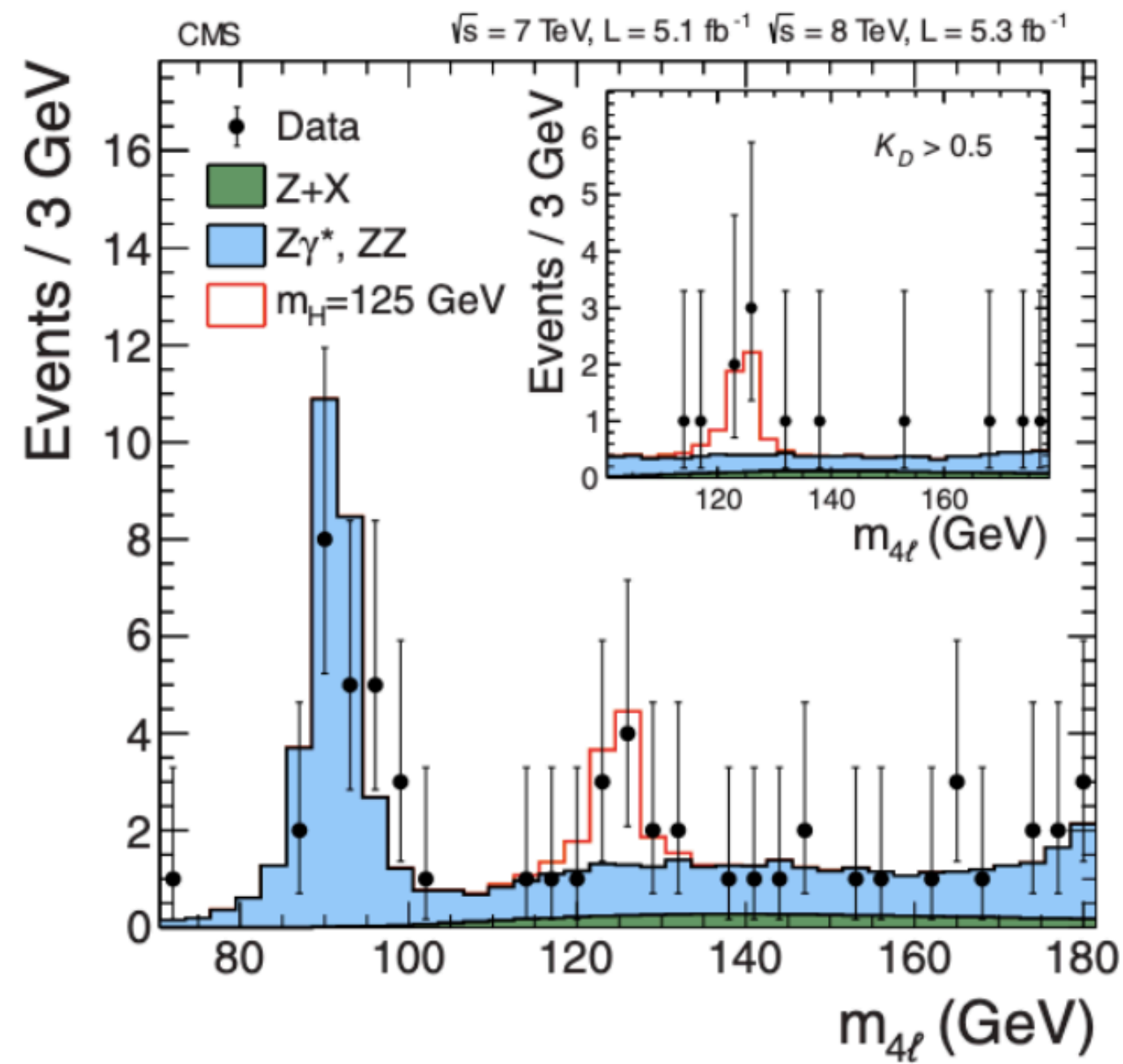


Higgs Discovery

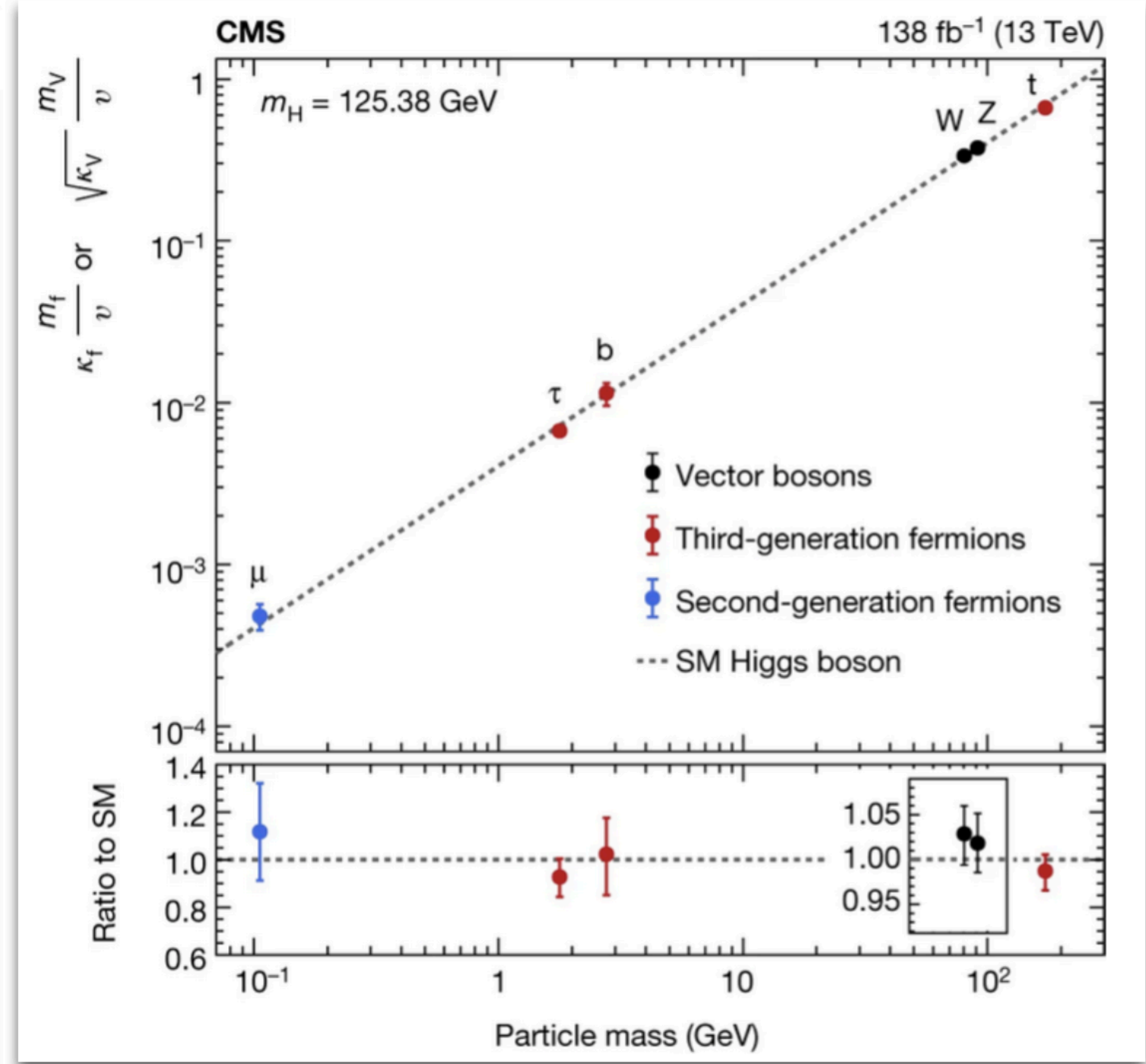
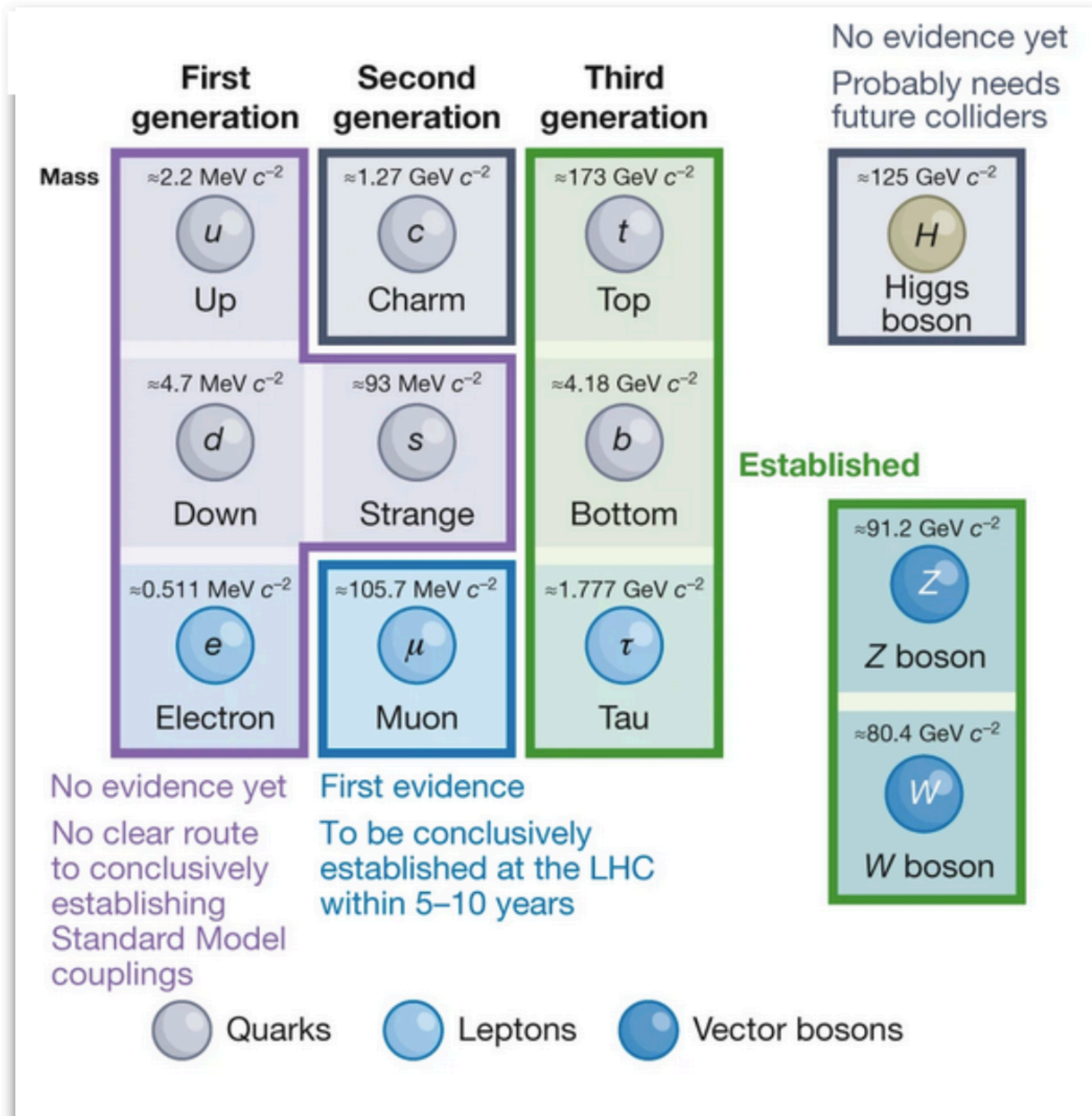


$H \rightarrow \gamma\gamma$

$H \rightarrow ZZ \rightarrow 4\ell$



Higgs Interactions to SM particles



Higgs self-coupling

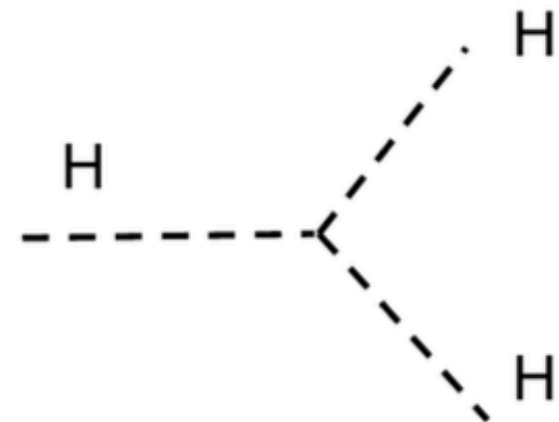
$$\mathcal{L}_{scalar} = D_\mu \phi^\dagger D^\mu \phi - V(\phi^\dagger \phi) \text{ with } \phi = (\varphi^+ \varphi^0)^T \text{ doublet under } SU(2)$$

$$V(\phi^\dagger \phi) = -\mu^2(\phi^\dagger \phi) + \lambda(\phi^\dagger \phi)^2$$

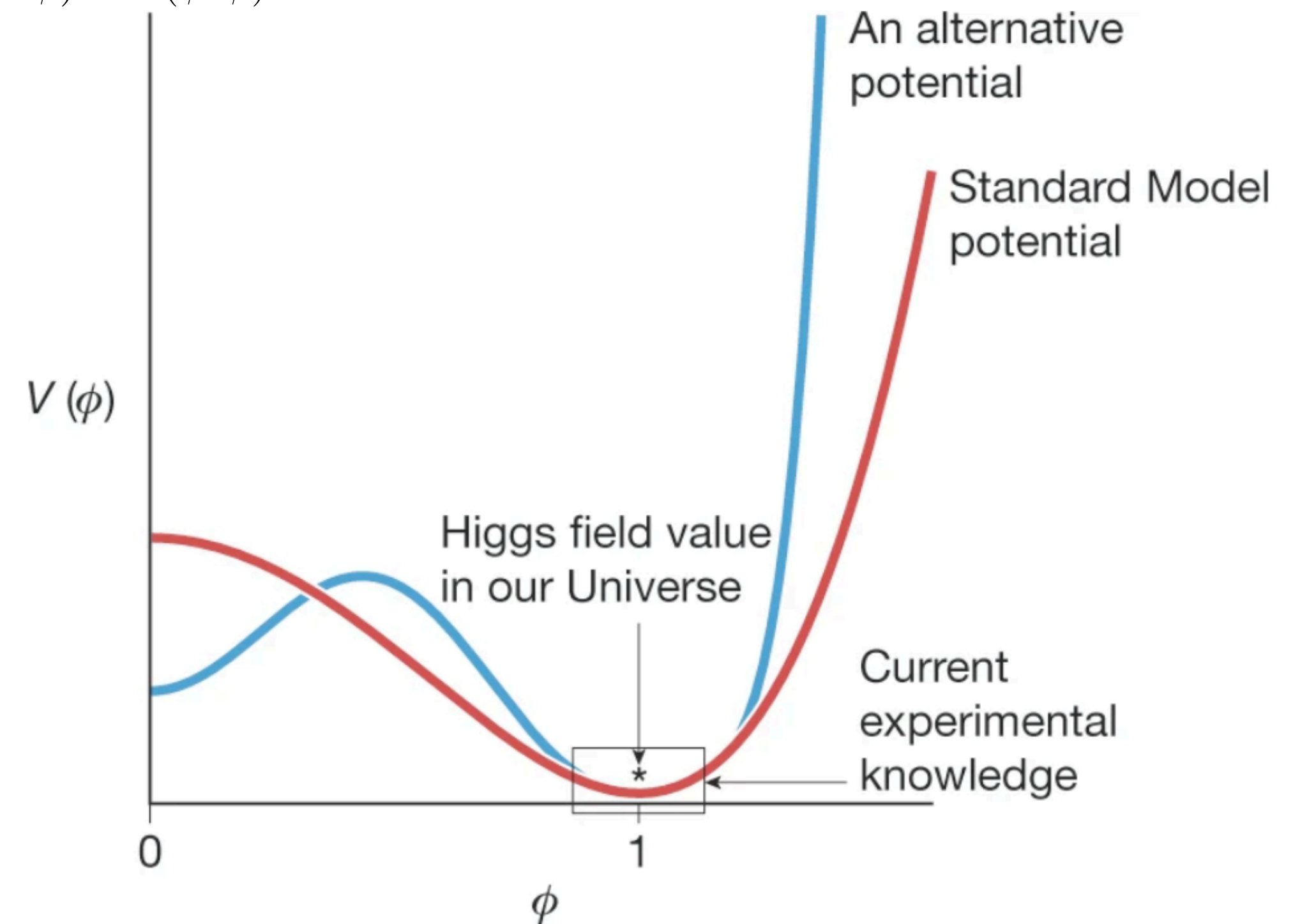
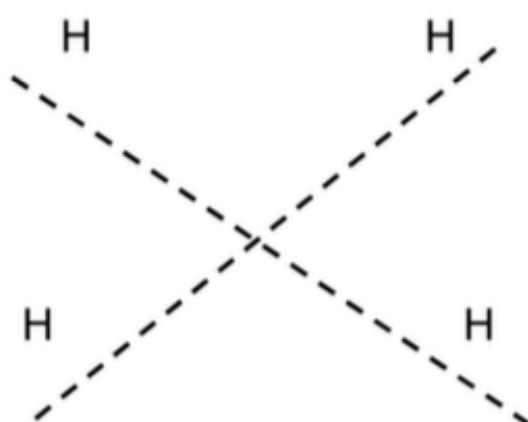
$$\begin{aligned} \mathcal{L}_{BEH} = & \frac{1}{2} \partial_\mu H \partial^\mu H - \frac{1}{2} (2\lambda v^2) H^2 \\ & + \left(\frac{g^2 v^2}{4} \right) W_\mu^- W^{\mu+} + \frac{1}{2} \left(\frac{(g^2 + g'^2) v^2}{4} \right) Z_\mu Z^\mu \\ & + \left(\frac{g^2 v^2}{4} \right) \frac{2}{v} H W_\mu^- W^{\mu+} + \left(\frac{(g^2 + g'^2) v^2}{4} \right) \frac{1}{v} H Z_\mu Z^\mu \\ & + \left(\frac{g^2 v^2}{4} \right) \frac{1}{v^2} H^2 W_\mu^- W^{\mu+} + \frac{1}{2} \left(\frac{(g^2 + g'^2) v^2}{4} \right) \frac{1}{v^2} H^2 Z_\mu Z^\mu \\ & - \lambda v H^3 - \frac{\lambda}{4} H^4 + \frac{\lambda}{4} v^4. \end{aligned}$$

$$V(H) = \frac{1}{2} m_H^2 H^2 + \lambda_{HHH} H^3 + \lambda_{HHHH} H^4 - \frac{1}{4} \lambda v^4$$

$$\lambda_{HHH} = \frac{m_H^2}{2v}$$



$$\lambda_{HHHH} = \frac{m_H^2}{8v^2}$$



Self coupling can be directly probed by studying HH production

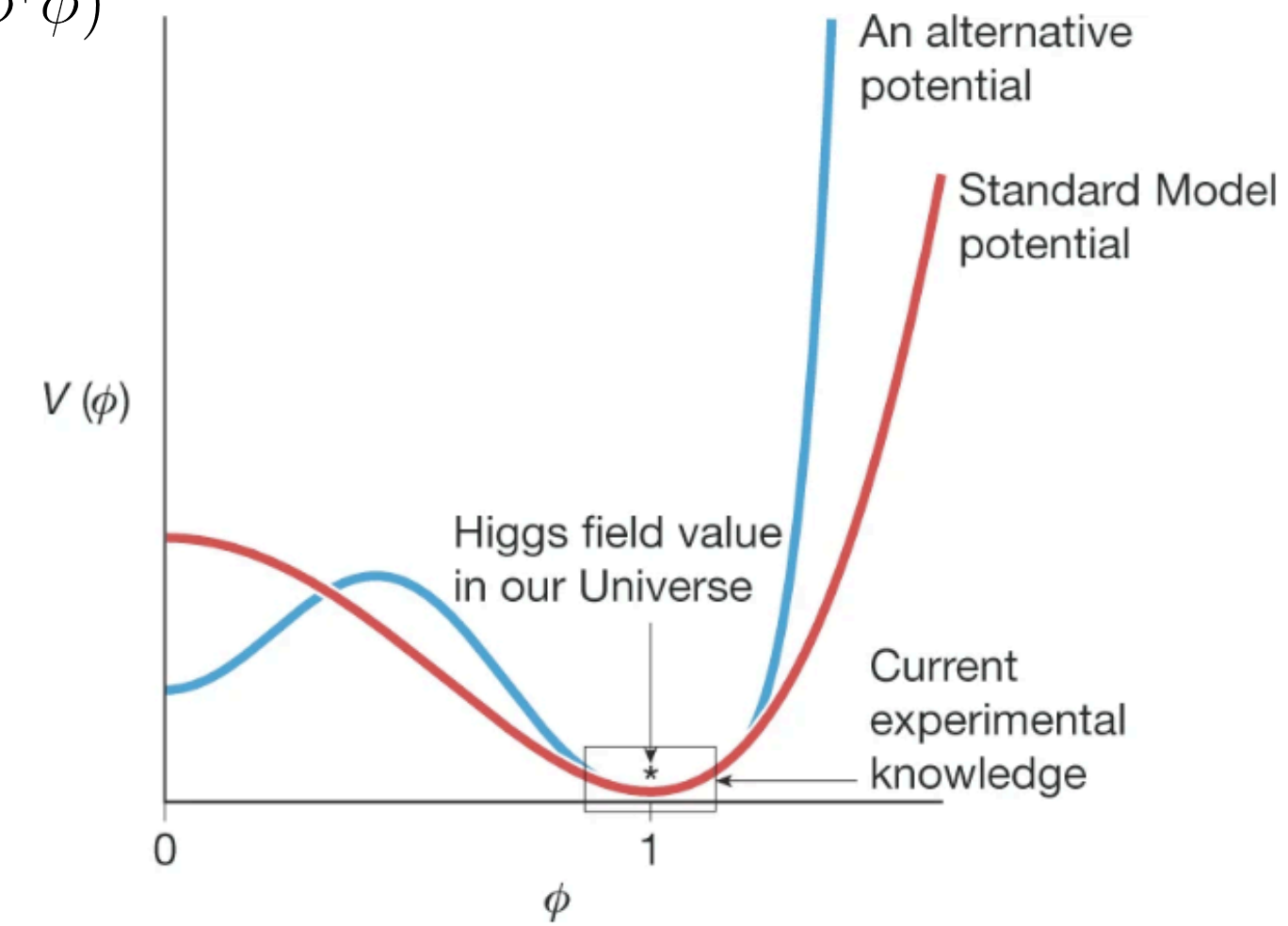
Not only SM, possible deviations arising from BSM contributions can be examined

Higgs self-coupling

$$\mathcal{L}_{scalar} = D_\mu \phi^\dagger D^\mu \phi - V(\phi^\dagger \phi) \text{ with } \phi = (\varphi^+ \varphi^0)^T \text{ doublet under } SU(2)$$

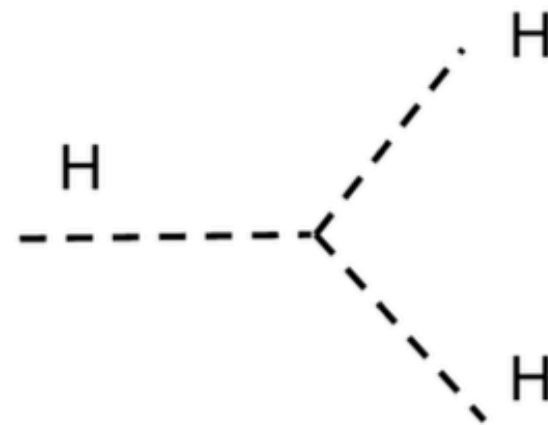
$$V(\phi^\dagger \phi) = -\mu^2(\phi^\dagger \phi) + \lambda(\phi^\dagger \phi)^2$$

$$\begin{aligned} \mathcal{L}_{BEH} = & \frac{1}{2} \partial_\mu H \partial^\mu H - \frac{1}{2} (2\lambda v^2) H^2 \\ & + \left(\frac{g^2 v^2}{4} \right) W_\mu^- W^{\mu+} + \frac{1}{2} \left(\frac{(g^2 + g'^2) v^2}{4} \right) Z_\mu Z^\mu \\ & + \left(\frac{g^2 v^2}{4} \right) \frac{2}{v} H W_\mu^- W^{\mu+} + \left(\frac{(g^2 + g'^2) v^2}{4} \right) \frac{1}{v} H Z_\mu Z^\mu \\ & + \left(\frac{g^2 v^2}{4} \right) \frac{1}{v^2} H^2 W_\mu^- W^{\mu+} + \frac{1}{2} \left(\frac{(g^2 + g'^2) v^2}{4} \right) \frac{1}{v^2} H^2 Z_\mu Z^\mu \\ & - \lambda v H^3 - \frac{\lambda}{4} H^4 + \frac{\lambda}{4} v^4. \end{aligned}$$

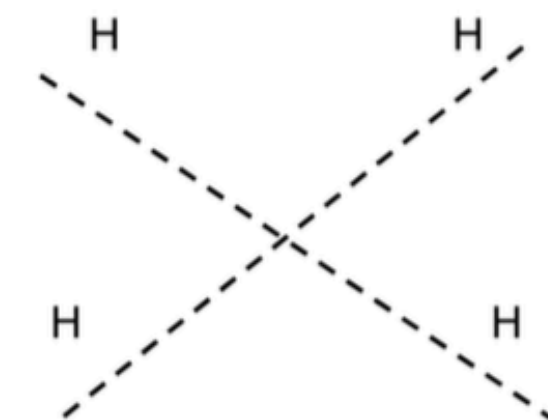


$$V(H) = \frac{1}{2} m_H^2 H^2 + \lambda_{HHH} H^3 + \lambda_{HHHH} H^4 - \frac{1}{4} \lambda v^4$$

$$\lambda_{HHH} = \frac{m_H^2}{2v}$$



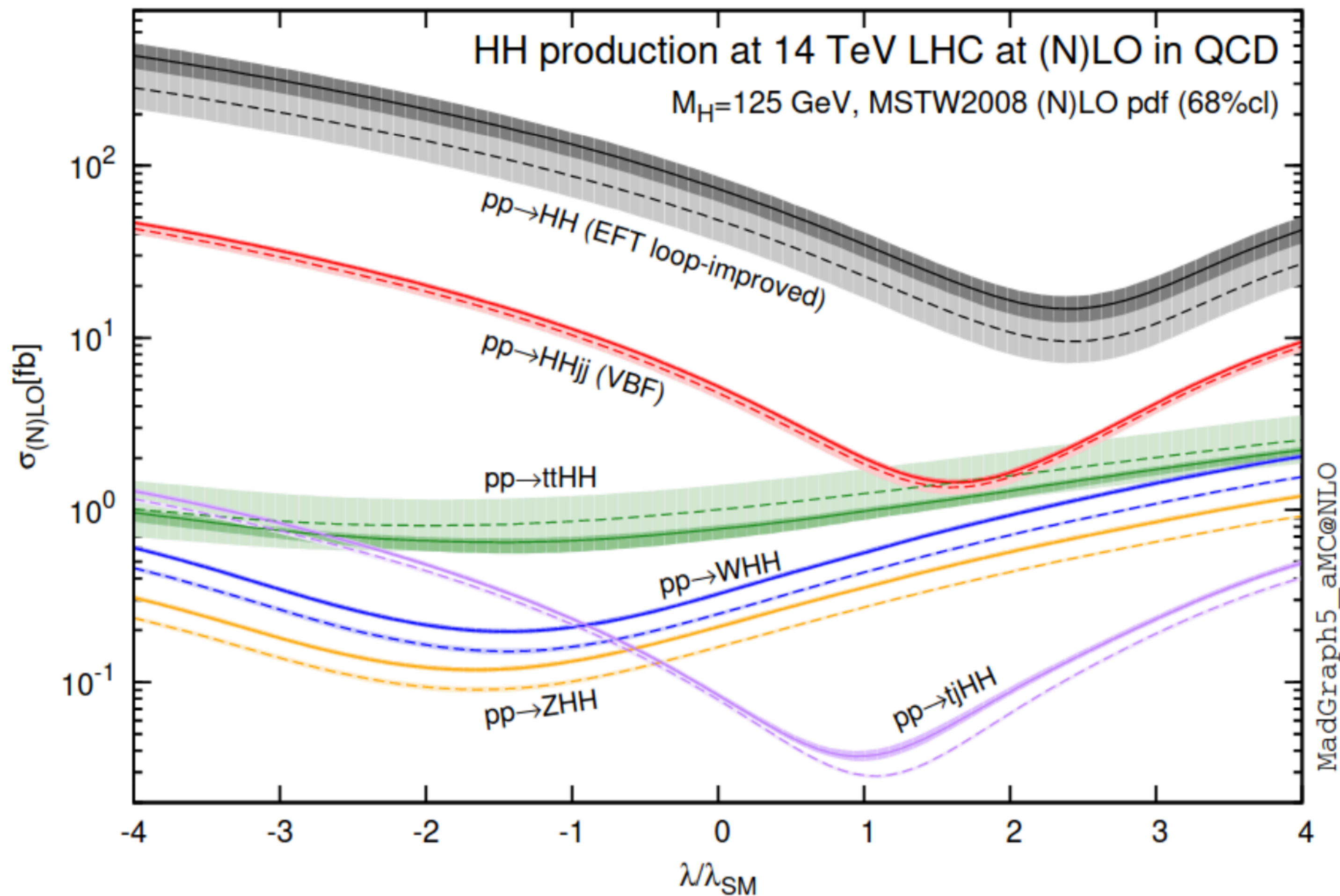
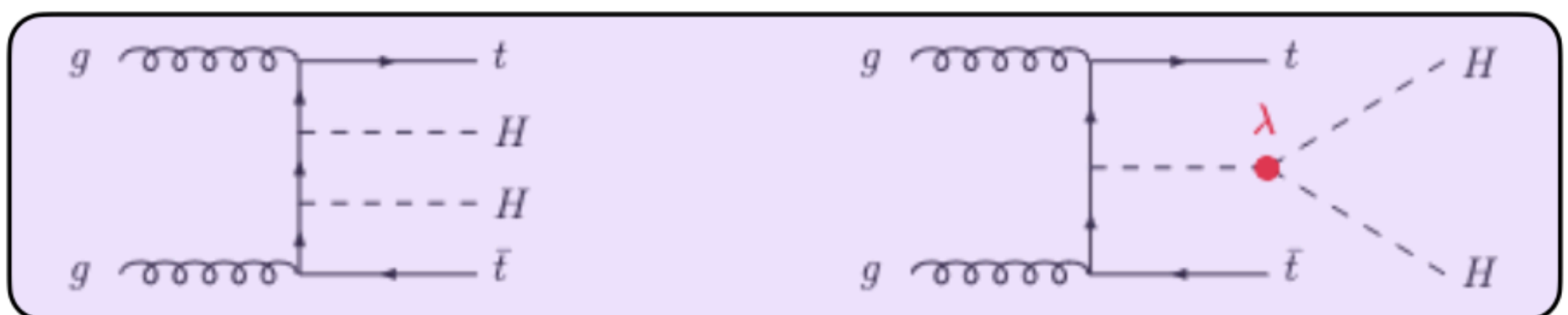
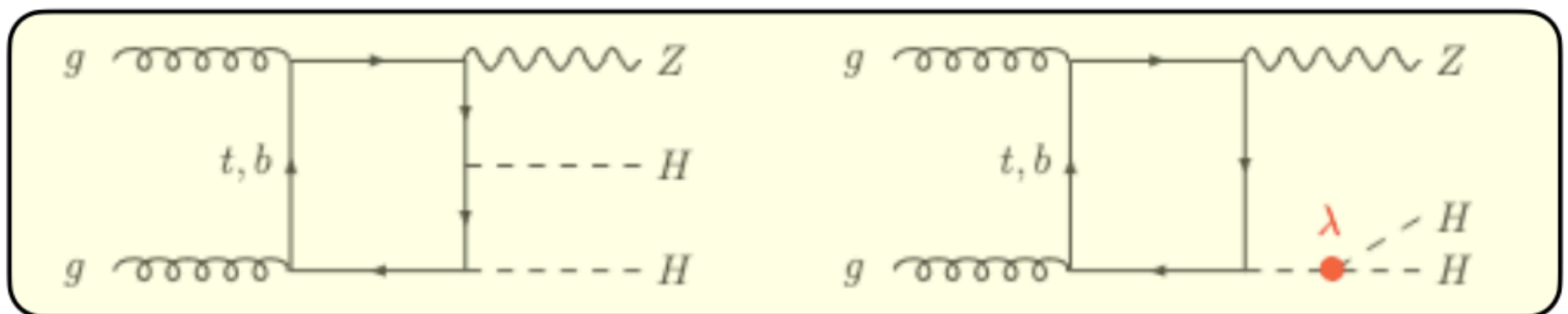
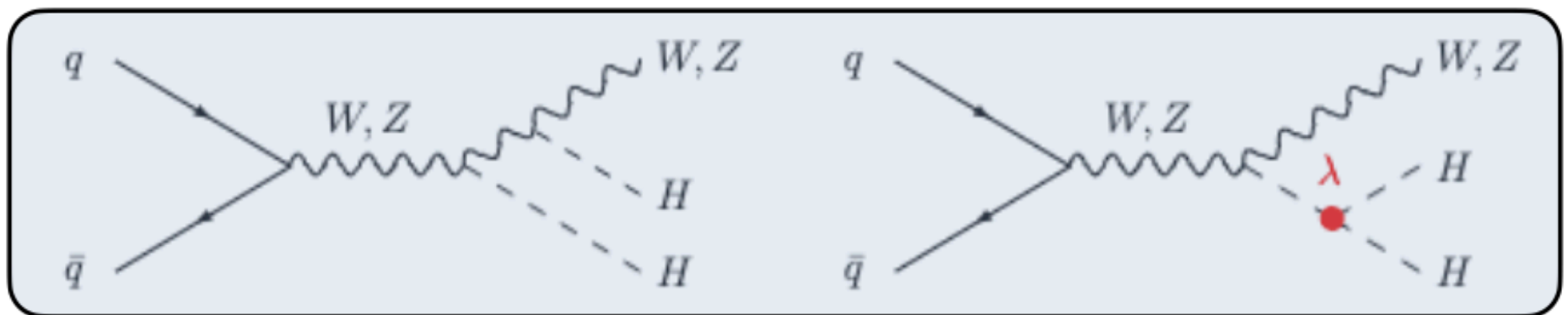
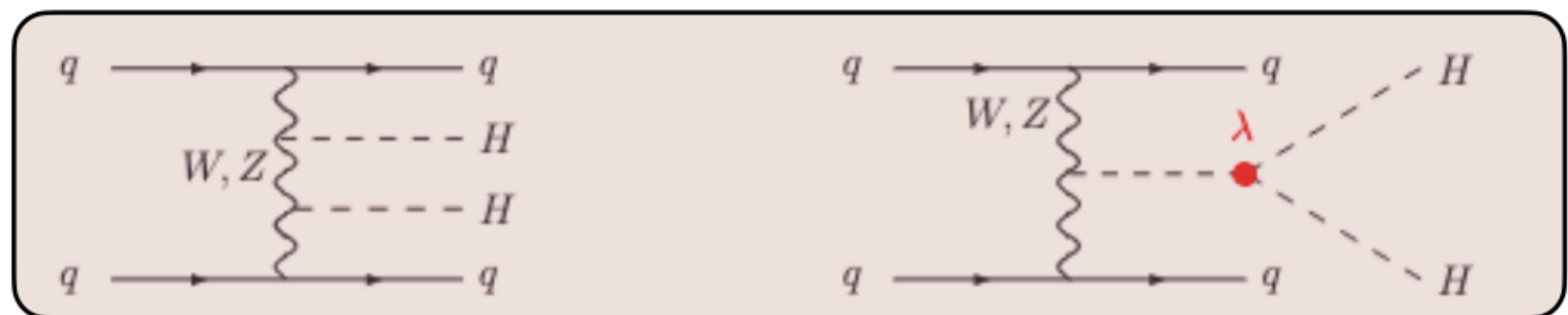
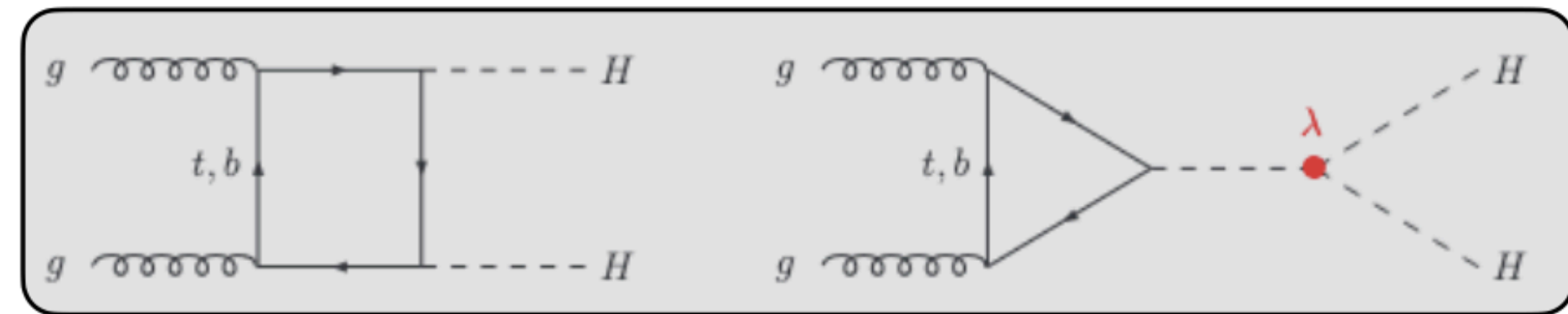
$$\lambda_{HHHH} = \frac{m_H^2}{8v^2}$$



Measurement of the trilinear coupling:

- Test of the Standard Model
- Probe the shape of the scalar potential
- Potentially sensitive to BSM effects :: Need Parameterisation [EFT]

HH Production



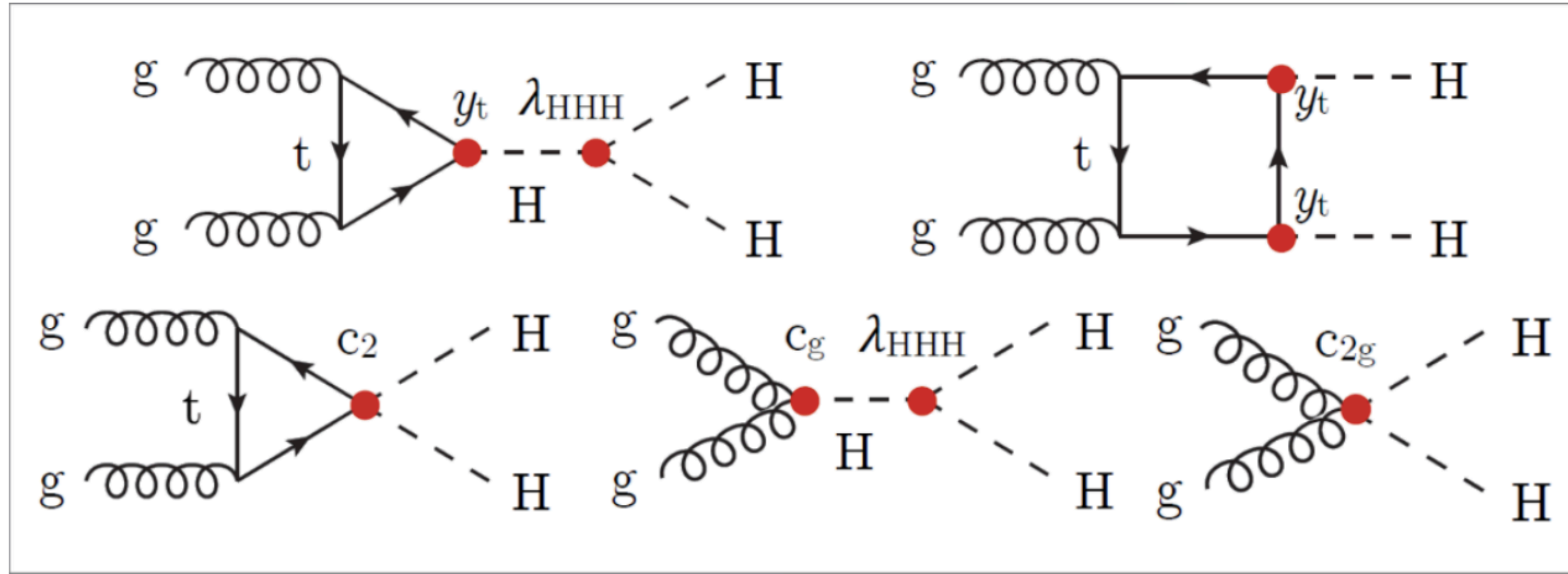
$$\sigma(pp \rightarrow HH) \sim \frac{\sigma(pp \rightarrow H)}{1000} \quad \frac{\Delta\sigma}{\sigma} \sim -\frac{\Delta\lambda}{\lambda} \text{ around SM GGF}$$

HH Production [BSM]

$$\mathcal{L}_{\text{SMEFT}} = \mathcal{L}_{\text{SM}} + \sum_{d>4} \sum_i \frac{c_i^{(d)}}{\Lambda^{d-4}} \mathcal{O}_i^{(d)}$$

□ Effective field theory approach

□ EFT Lagrangian for HH GGF production :



2

$$\begin{aligned} \mathcal{L}^{\text{HH}} = & \frac{1}{2} \partial_\mu H \partial^\mu H - \frac{1}{2} m_H^2 H^2 - k_\lambda \lambda^{\text{SM}} H^3 \\ & - \frac{m_t}{v} \left(v + k_t H + \frac{c_2}{v} HH \right) (\bar{t}_L t_R + h.c.) \\ & + \frac{\alpha_s}{12\pi v} \left(c_g H - \frac{c_{2g}}{2v} HH \right) G_{\mu\nu}^a G^{a,\mu\nu} \end{aligned}$$

SM : $\kappa_t = \kappa_\lambda = 1$ and $c_2 = c_g = c_{2g} = 0$

$$\begin{aligned} R_{\text{HH}} = \sigma_{\text{LO}} / \sigma_{\text{LO}}^{\text{SM}} = & A_1 \kappa_t^4 + A_2 c_2^2 + (A_3 \kappa_t^2 + A_4 c_g^2) \kappa_\lambda^2 + A_5 c_{2g}^2 + (A_6 c_2 + A_7 \kappa_t \kappa_\lambda) \kappa_t^2 \\ & + (A_8 \kappa_t \kappa_\lambda + A_9 c_g \kappa_\lambda) c_2 + A_{10} c_2 c_{2g} + (A_{11} c_g \kappa_\lambda + A_{12} c_{2g}) \kappa_t^2 \\ & + (A_{13} \kappa_\lambda c_g + A_{14} c_{2g}) \kappa_t \kappa_\lambda + A_{15} c_g c_{2g} \kappa_\lambda, \end{aligned}$$

HH Production [BSM]

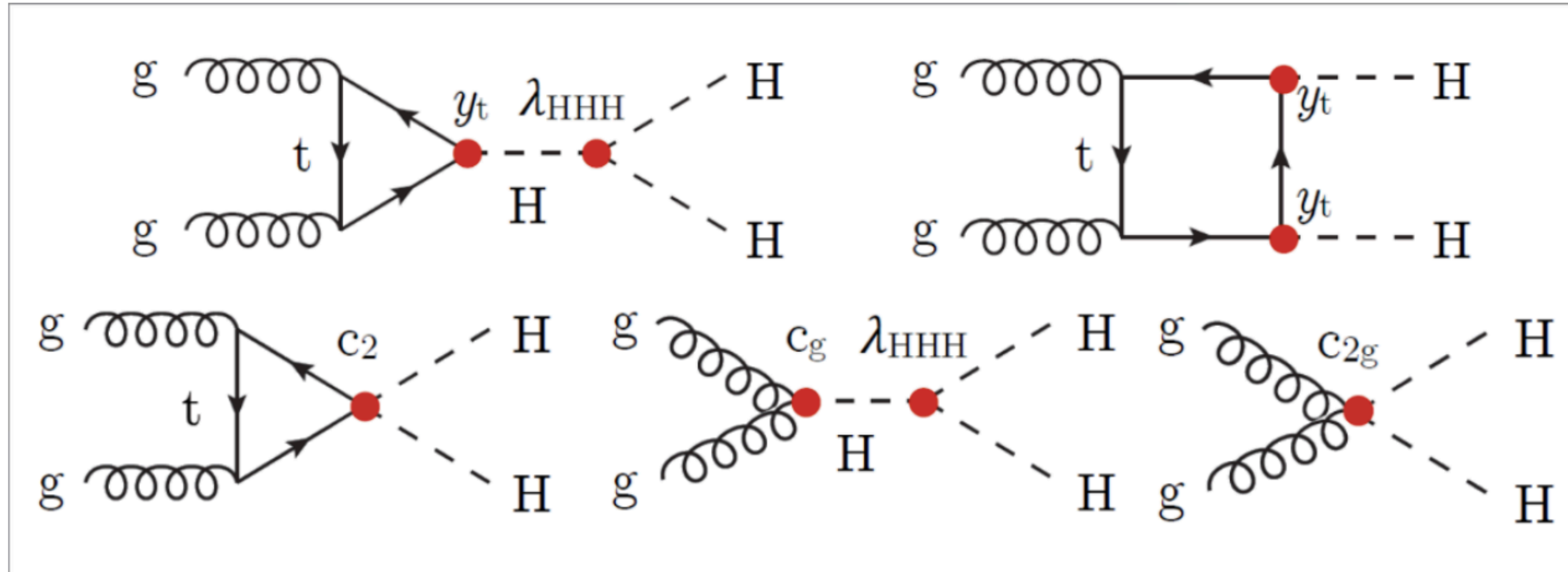
□ Effective field theory approach

$$\mathcal{L}_{\text{SMEFT}} = \mathcal{L}_{\text{SM}} + \sum_{d>4} \sum_i \frac{c_i^{(d)}}{\Lambda^{d-4}} \mathcal{O}_i^{(d)}$$

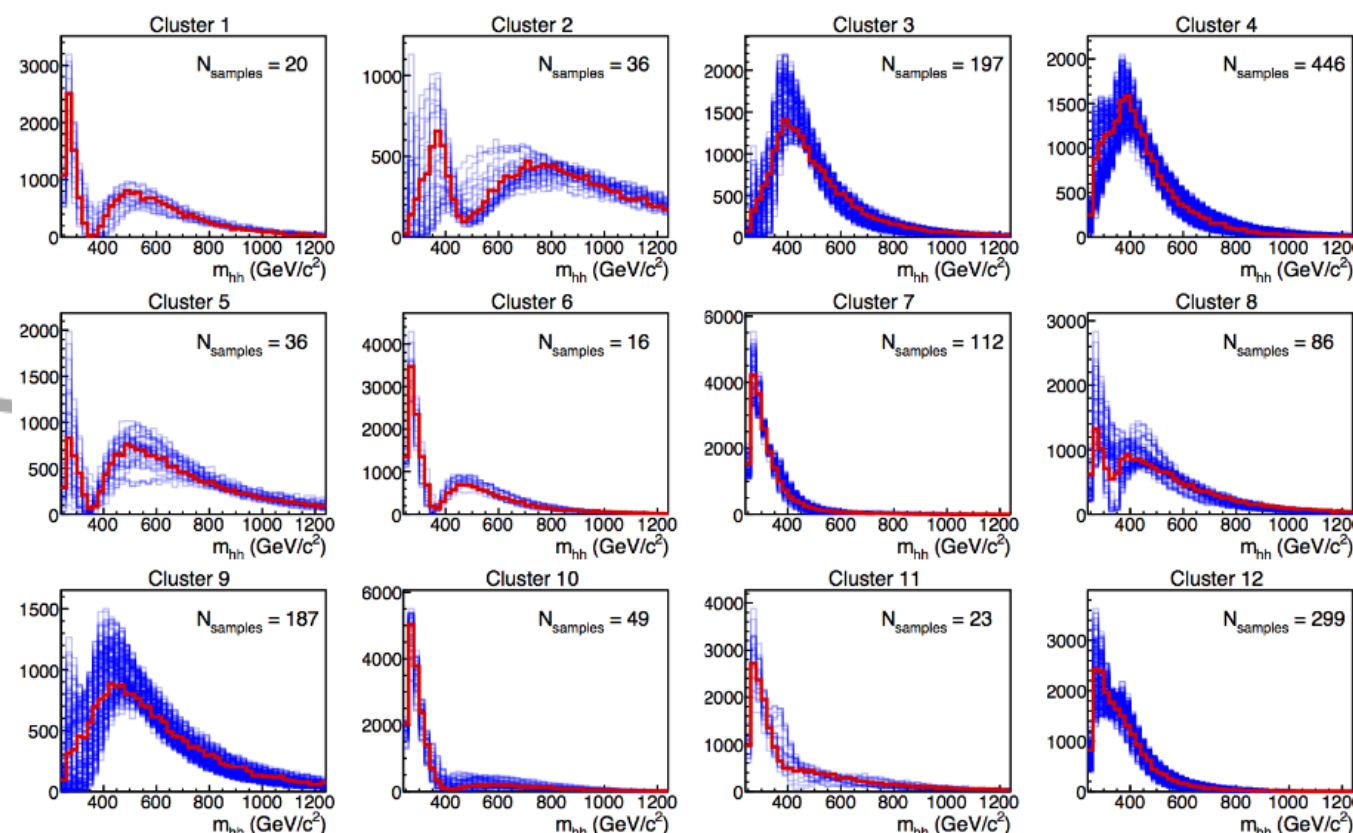
□ EFT Lagrangian for HH GGF production :

2

$$\begin{aligned} \mathcal{L}^{\text{HH}} = & \frac{1}{2} \partial_\mu H \partial^\mu H - \frac{1}{2} m_H^2 H^2 - k_\lambda \lambda^{\text{SM}} H^3 \\ & - \frac{m_t}{v} \left(v + k_t H + \frac{c_2}{v} HH \right) (\bar{t}_L t_R + h.c.) \\ & + \frac{\alpha_s}{12\pi v} \left(c_g H - \frac{c_{2g}}{2v} HH \right) G_{\mu\nu}^a G^{a,\mu\nu} \end{aligned}$$



SM : $\kappa_t = \kappa_\lambda = 1$ and $c_2 = c_g = c_{2g} = 0$



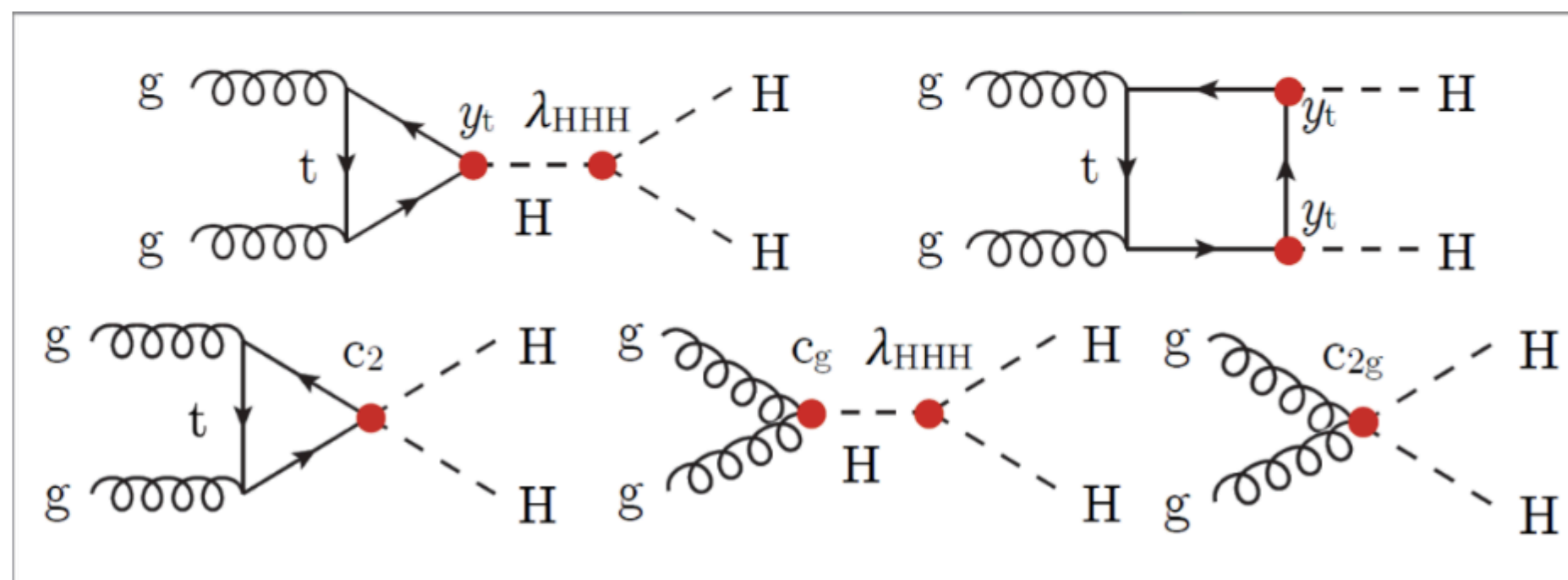
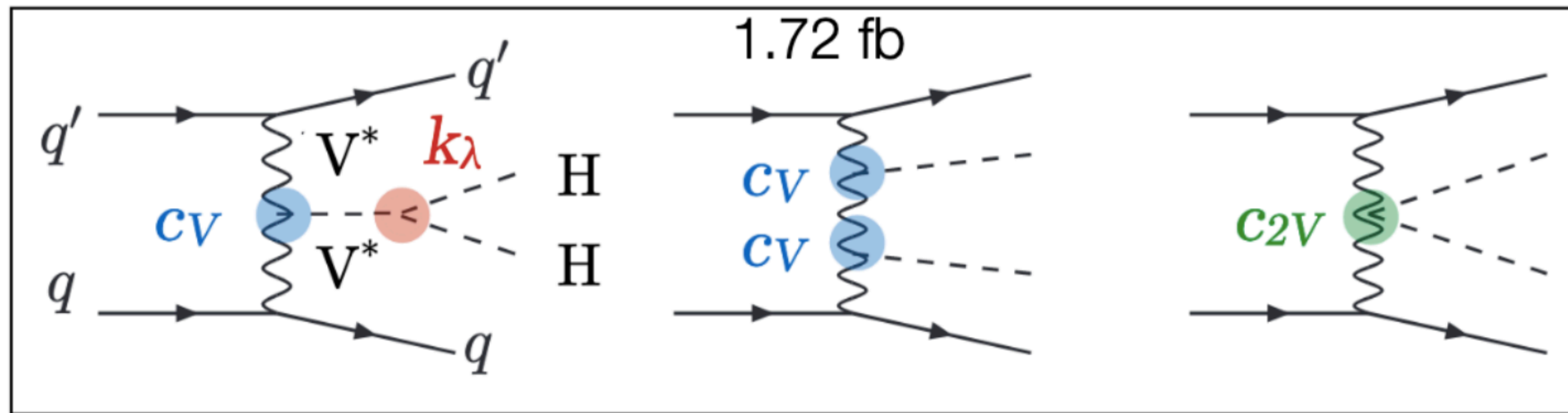
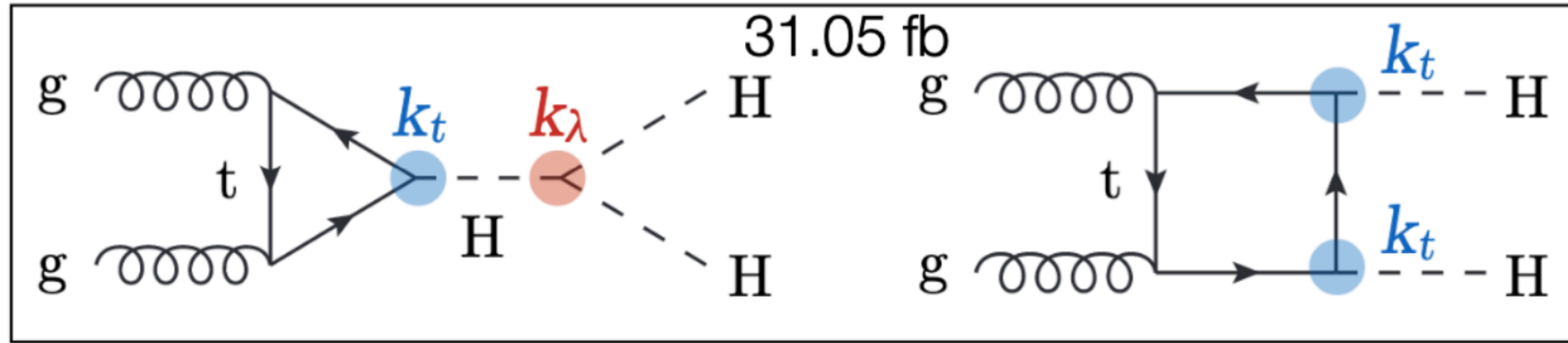
□ 5D parameter space:

□ Very expensive for a full scan

□ BPs based on the kinematics: $(m_{HH}, \cos\theta_{HH}^*)$

□ Deviation from the SM couplings ($\kappa_\lambda > 1$) can be expected

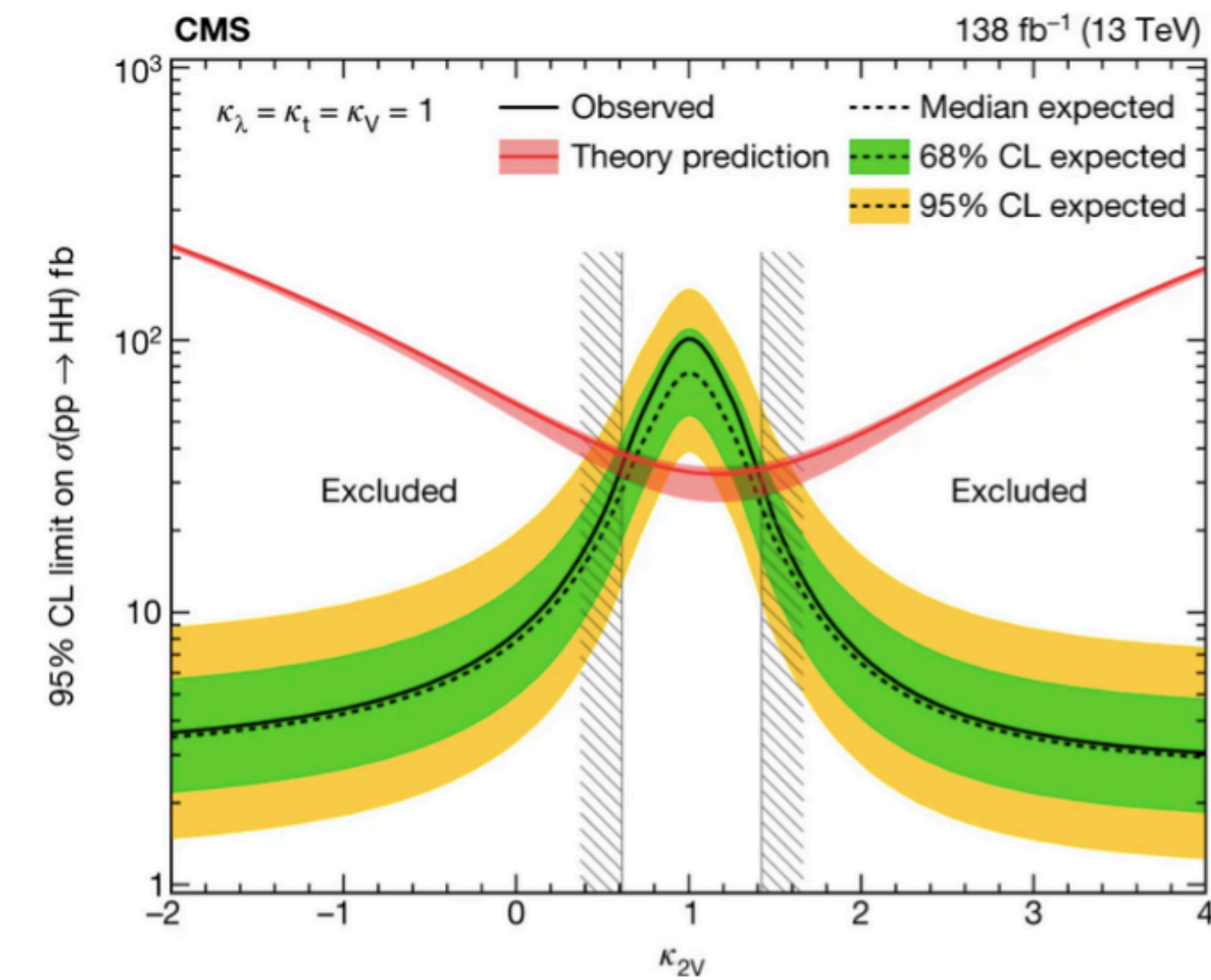
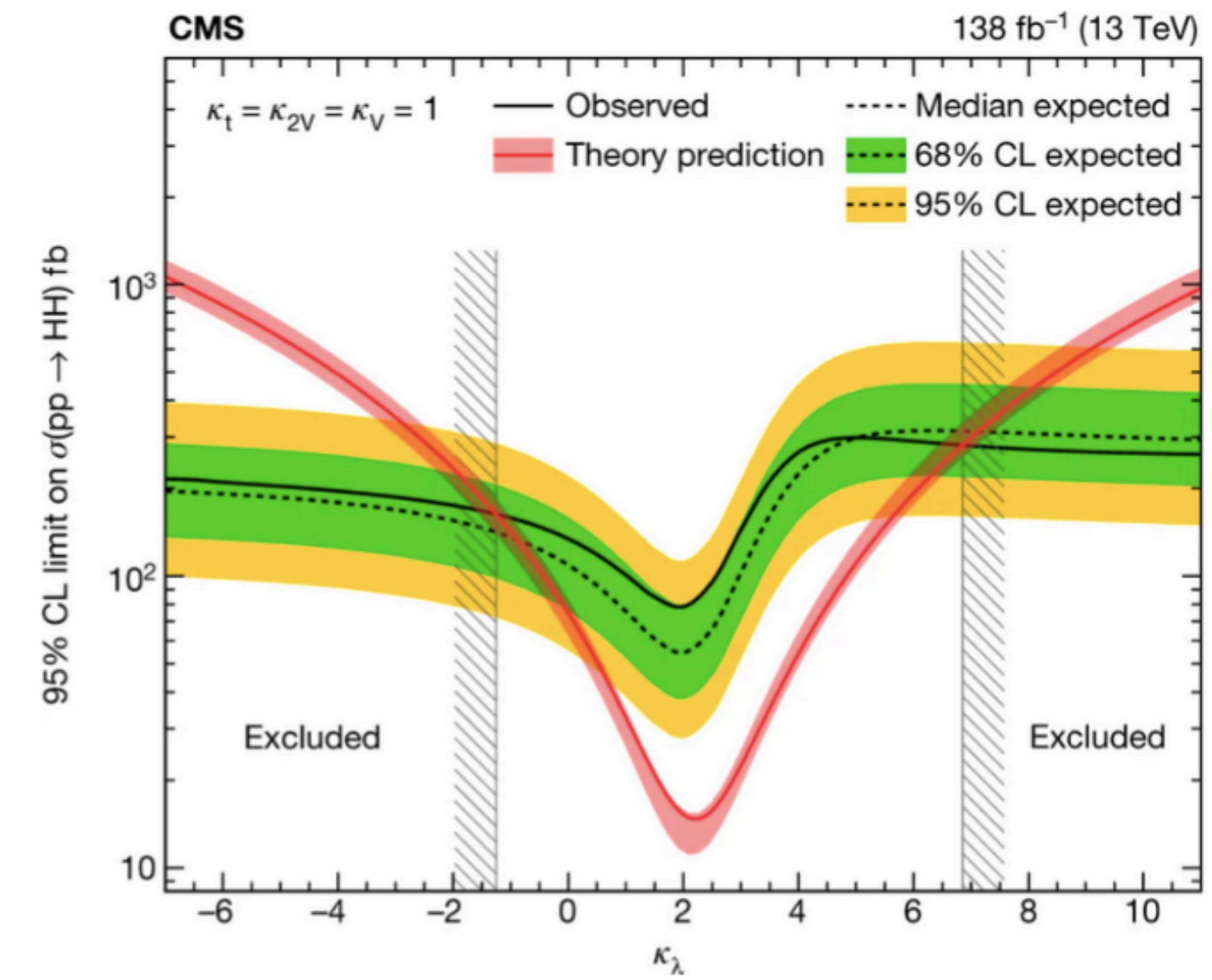
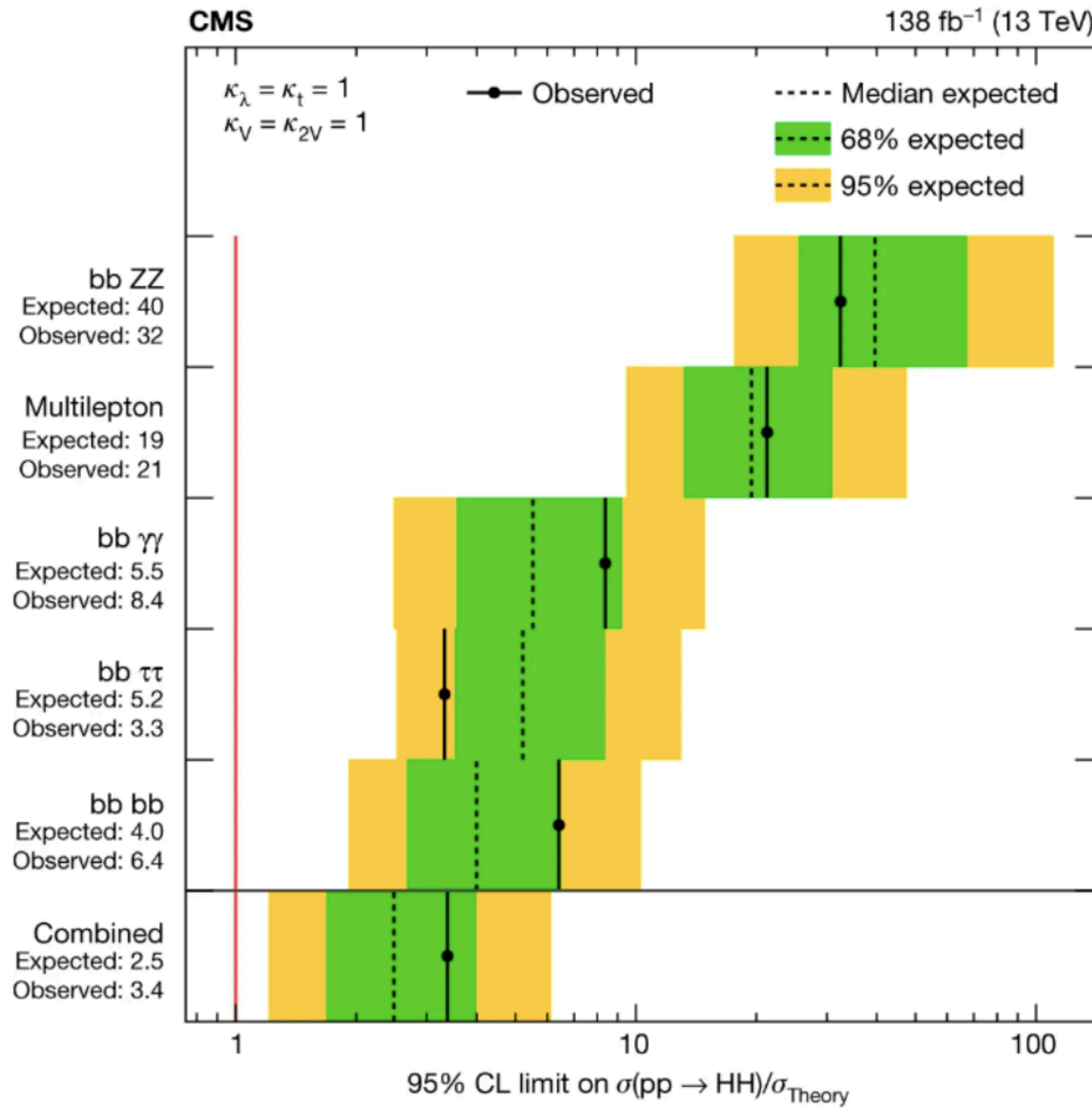
So ... Main Motivations !



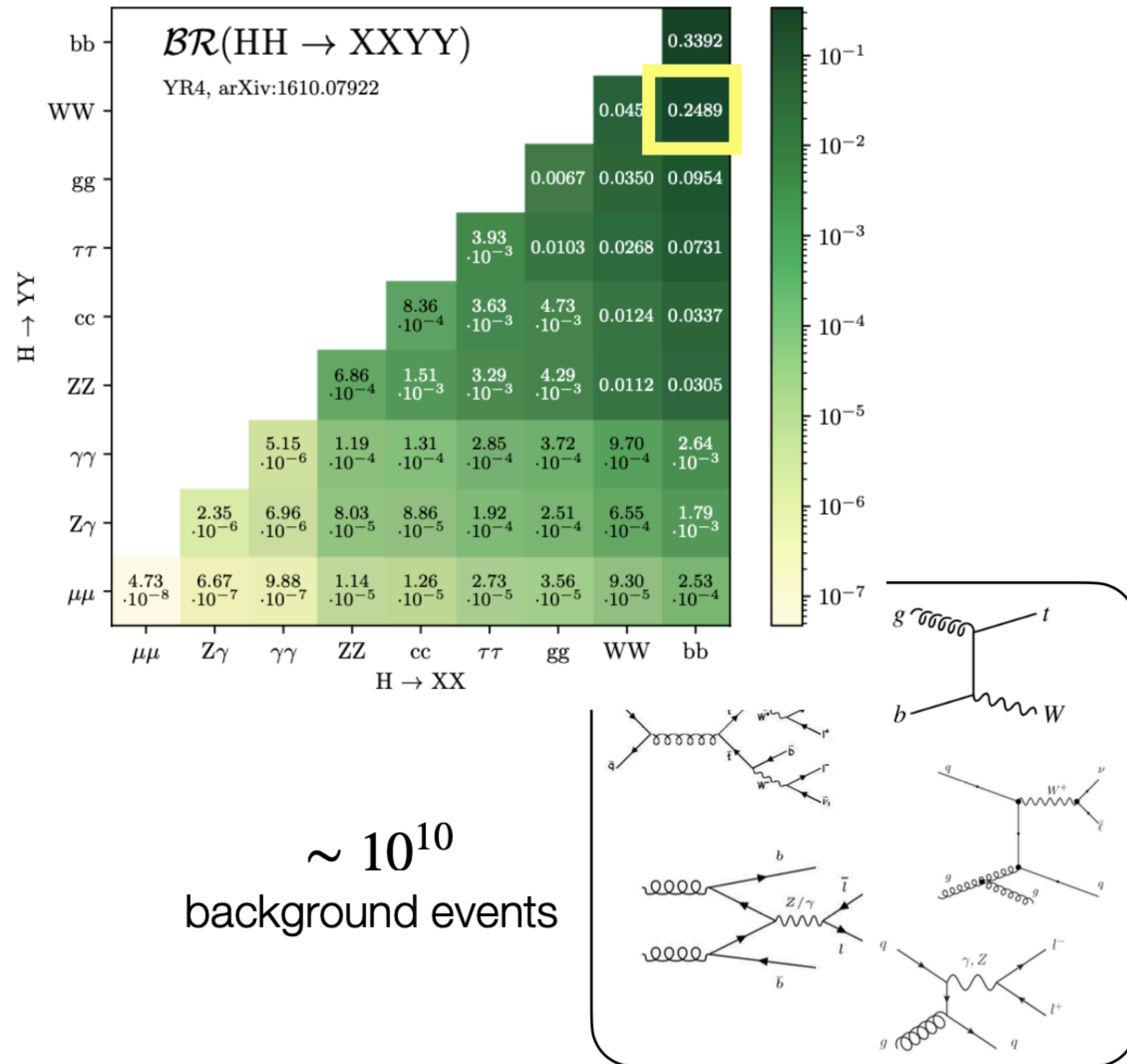
- Search for HH
- Constrain couplings
 - κ_λ
 - κ_{2V}
- EFT Shape Benchmarks

HH Non-Resonant Analyses: Status!

Nature volume 607, pages 60–68 (2022)

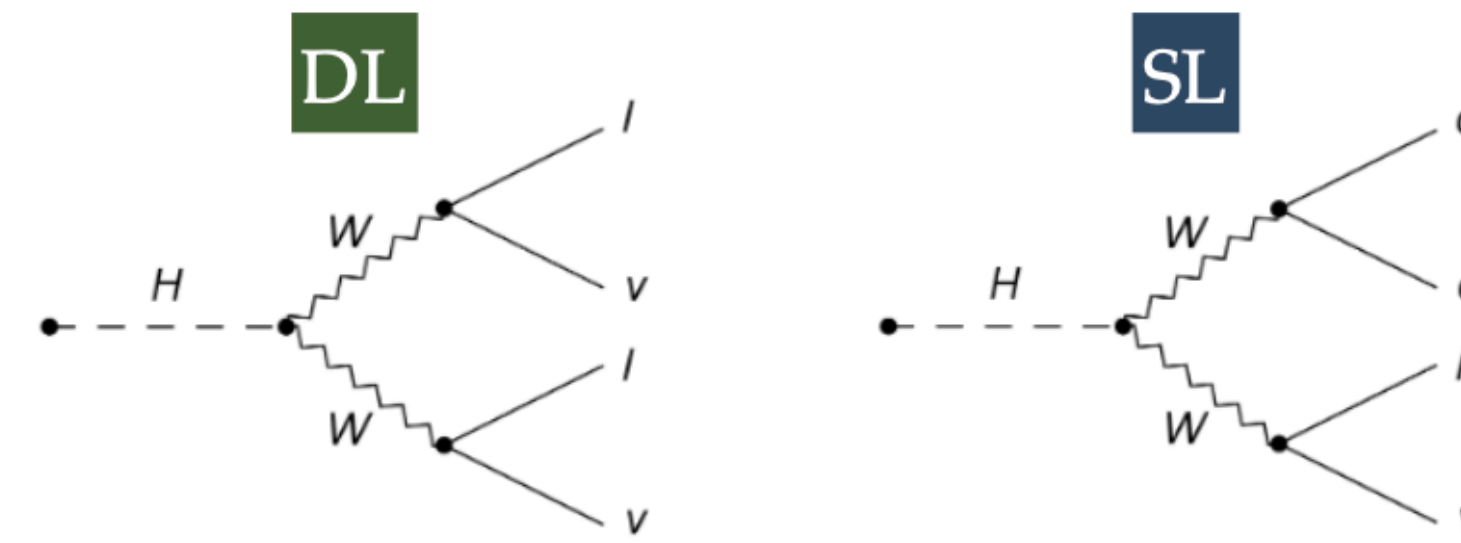


HH → bbWW



$$N_{HH} \sim \sigma_{HH} \times \mathcal{L} = 31.05 \text{ fb} \times 138 \text{ fb}^{-1} \equiv 4000$$

$$N_{HH \rightarrow b\bar{b}W^+W^-} = N_{HH} \times BR_{b\bar{b}W^+W^-} \equiv 1000$$



120 events

475 events

- Event Selection**
- Lepton triggers
 - 1 (/2) leptons
 - At least one b-tagged jet
 - Kinematic requirements

15 events

96 events

$\sim 10^6$ events

HH -> bbWW

Group	Samples	Type	Descriptions
bbWW SL	/GluGluToHHTo2B2VLNu2J_node_cHHH*	NLO	CHHH* : {0, 1, 2.45, 5}
	/VBFHHTo2B2WToLNU2J_CV*_C2V*_C3_*	LO	{CV*_C2V*_CHHH_*} : (0.5,1,1), (1.5,1,1), (1,0,1), (1,1,0), (1,1,1), (1,1,2), (1,2,1)}
bbWW DL	/GluGluToHHTo2B2VTo2L2Nu_node_cHHH*	NLO	CHHH* : {0, 1, 2.45, 5}
	/VBFHHTo2B2VTo2L2Nu_CV*_C2V*_C3_*	LO	{CV*_C2V*_CHHH_*} : (0.5,1,1), (1.5,1,1), (1,0,1), (1,1,0), (1,1,1), (1,1,2), (1,2,1)}
bb tautau	/GluGluToHHTo2B2Tau_node_cHHH*	NLO	CHHH* : {0, 1, 2.45, 5}
	/VBFHHTo2B2Tau_CV*_C2V*_C3_*	LO	{CV*_C2V*_CHHH_*} : (0.5,1,1), (1.5,1,1), (1,0,1), (1,1,0), (1,1,1), (1,1,2), (1,2,1)}

□ SM backgrounds:

- $t\bar{t}$ + jets : Di-leptonic and semi-leptonic decay of $t\bar{t}$ pair. Contribute to both channels, SL and DL
- Single top: t or tW + jets contributes significantly
- W + jets : All jet and p_T binned MC samples are stitched (2106.04360) together. Significant for SL only
- Z + jets : Data driven estimation, used for DL only. For SL, MC samples are stitched
- Others: $VV(V)$, $t\bar{t}V(X)$, single Higgs

Datasets	Era	Luminosity (fb ⁻¹)
Single Electron	2016, 17	[2016+17+18] 138.1
Single Muon	2016, 17, 18	
Double Egamma	2016, 17	
Muon Egamma	2016, 17, 18	
Egamma	2018	

Analysis Strategy

Baseline Selections

- At least one fakeable lepton
- Single lepton trigger
- $p_T^\mu > 25 \text{ GeV}$ or $p_T^e > 32 \text{ GeV}$
- τ_h veto
- $m_{ll} > 12 \text{ GeV}$ & $|m_{ll} - m_Z| > 10 \text{ GeV}$
- Leading fakeable lepton must be tight
- nAk4-Jets ≥ 3 & nAk4-bJets ≥ 1 & nAk8-Jets = 0 : Resolved [nAk4-bJets = 1 or nAk4-bJets ≥ 2]
- nAk8-bJets ≥ 1 & nAk4Jets (Ak8b-cleaned) ≥ 1 : Boosted

SL

- At least two fakeable leptons
- Single or double lepton trigger
- lepton-1 $p_T > 25 \text{ GeV}$, lepton-2 $p_T > 15 \text{ GeV}$
- Opposite charge
- $m_{ll} > 12 \text{ GeV}$ & $|m_{ll} - m_Z| > 10 \text{ GeV}$
- Not more than 2 tight leptons
- nAk4-Jets ≥ 2 & nAk4-bJets ≥ 1 & nAk8-Jets = 0 : Resolved [nAk4-bJets = 1 or nAk4-bJets ≥ 2]
- nAk8-bJets ≥ 1 : Boosted

DL

Analysis Strategy

Baseline Selections

- At least one fakeable lepton
- Single lepton trigger
- $p_T^\mu > 25 \text{ GeV}$ or $p_T^e > 32 \text{ GeV}$
- τ_h veto
- $m_{ll} > 12 \text{ GeV}$ & $|m_{ll} - m_Z| > 10 \text{ GeV}$
- Leading fakeable lepton must be tight
- nAk4-Jets ≥ 3 & nAk4-bJets ≥ 1 & nAk8-Jets = 0 :
Resolved [nAk4-bJets = 1 or nAk4-bJets ≥ 2]
- nAk8-bJets ≥ 1 & nAk4Jets (Ak8b-cleaned) ≥ 1 :
Boosted

SL

- At least two fakeable leptons
- Single or double lepton trigger
- lepton-1 $p_T > 25 \text{ GeV}$, lepton-2 $p_T > 15 \text{ GeV}$
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- $m_{ll} > 12 \text{ GeV}$ & $|m_{ll} - m_Z| > 10 \text{ GeV}$
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Resolved [nAk4-bJets = 1 or nAk4-bJets ≥ 2]
- nAk8-bJets ≥ 1 : Boosted

DL

Process	Cross-section [pb]	Total yield	DL channel		SL channel	
			Yield	ϵ [%]	Yield	ϵ [%]
t \bar{t} (fully leptonic)	88.4	$1.2 \cdot 10^7$	$1.5 \cdot 10^6$	12.5	$1.5 \cdot 10^6$	12.5
t \bar{t} (semi leptonic)	365.52	$5.0 \cdot 10^7$	$1.9 \cdot 10^2$	<0.01	$1.1 \cdot 10^7$	21.8
t \bar{t} (fully hadronic)	377.85	$5.2 \cdot 10^7$	0	0.0	$2.9 \cdot 10^2$	<0.01
Drell-Yan	6077.22	$8.4 \cdot 10^8$	$2.0 \cdot 10^5$	0.02	$4.2 \cdot 10^5$	0.05
W+jets	61526.7	$8.5 \cdot 10^9$	$2.1 \cdot 10^2$	<0.01	$2.8 \cdot 10^6$	0.03
ST	292.04	$3.9 \cdot 10^7$	$7.9 \cdot 10^4$	0.2	$1.3 \cdot 10^6$	3.4
WW	62.87	$8.7 \cdot 10^6$	$2.2 \cdot 10^3$	0.03	$5.5 \cdot 10^4$	0.63
ZW	10.03	$1.4 \cdot 10^6$	$1.2 \cdot 10^3$	0.09	$2.2 \cdot 10^3$	0.16
ZZ	6.78	$9.4 \cdot 10^5$	$2.5 \cdot 10^3$	0.27	$5.5 \cdot 10^3$	0.58
t \bar{t} W	0.60	$8.3 \cdot 10^4$	$2.1 \cdot 10^3$	2.51	$1.3 \cdot 10^4$	15.36
t \bar{t} Z	0.95	$1.3 \cdot 10^5$	$26 \cdot 10^3$	2.00	$1.6 \cdot 10^4$	12.40
HH \rightarrow bbWW (GGF)	0.03105	113.1 / 468.8	15.0	9.56	96.1	20.50
HH \rightarrow bbWW (VBF)	0.00173	6.3 / 26.1	0.55	8.78	3.83	14.69

Analysis Strategy

Baseline Selections

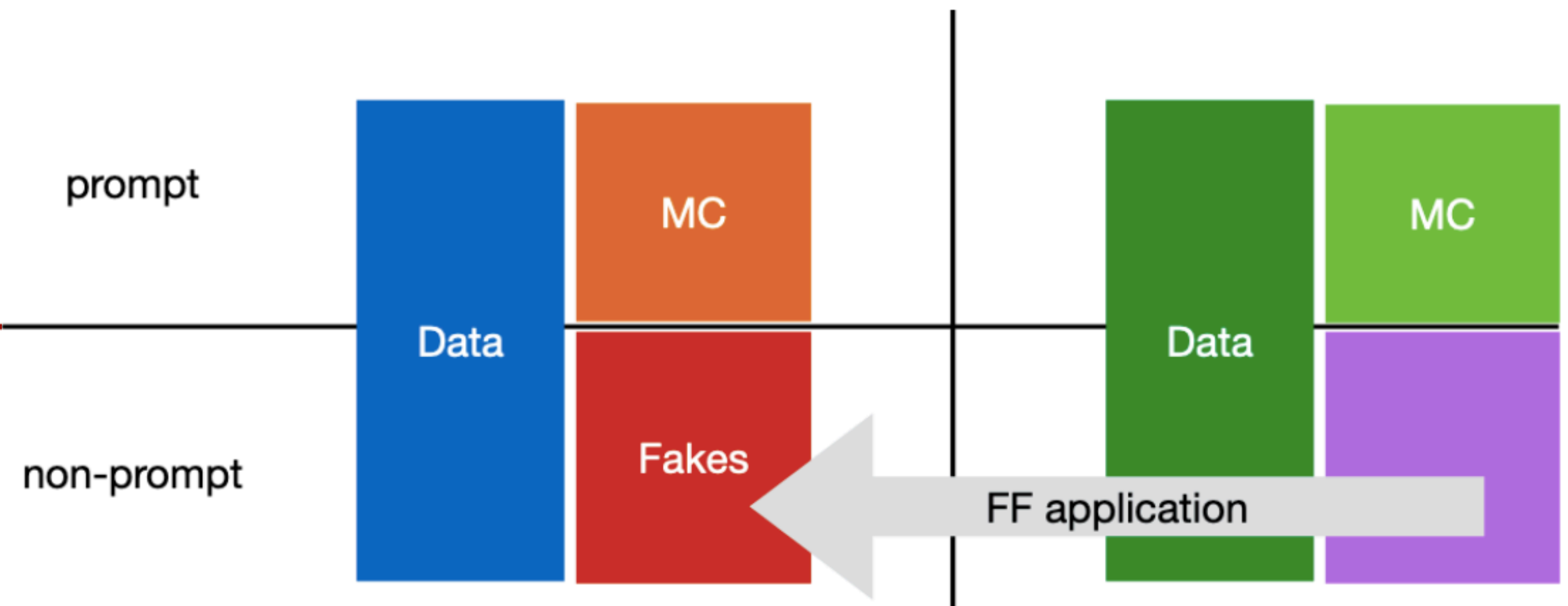
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- nAk8-bJets ≥ 1 & nAk4Jets (Ak8b-cleaned) ≥ 1 : Boosted

SL

- At least two fakeable leptons
- Single or double lepton trigger
- lepton-1 $p_T > 25$ GeV, lepton-2 $p_T > 15$ GeV
- Opposite charge
- $m_{ll} > 12$ GeV & $|m_{ll} - m_Z| > 10$ GeV
- Not more than 2 tight leptons
- nAk4-Jets ≥ 2 & nAk4-bJets ≥ 1 & nAk8-Jets = 0 : Resolved [nAk4-bJets = 1 or nAk4-bJets ≥ 2]
- nAk8-bJets ≥ 1 : Boosted

DL

Fake background:



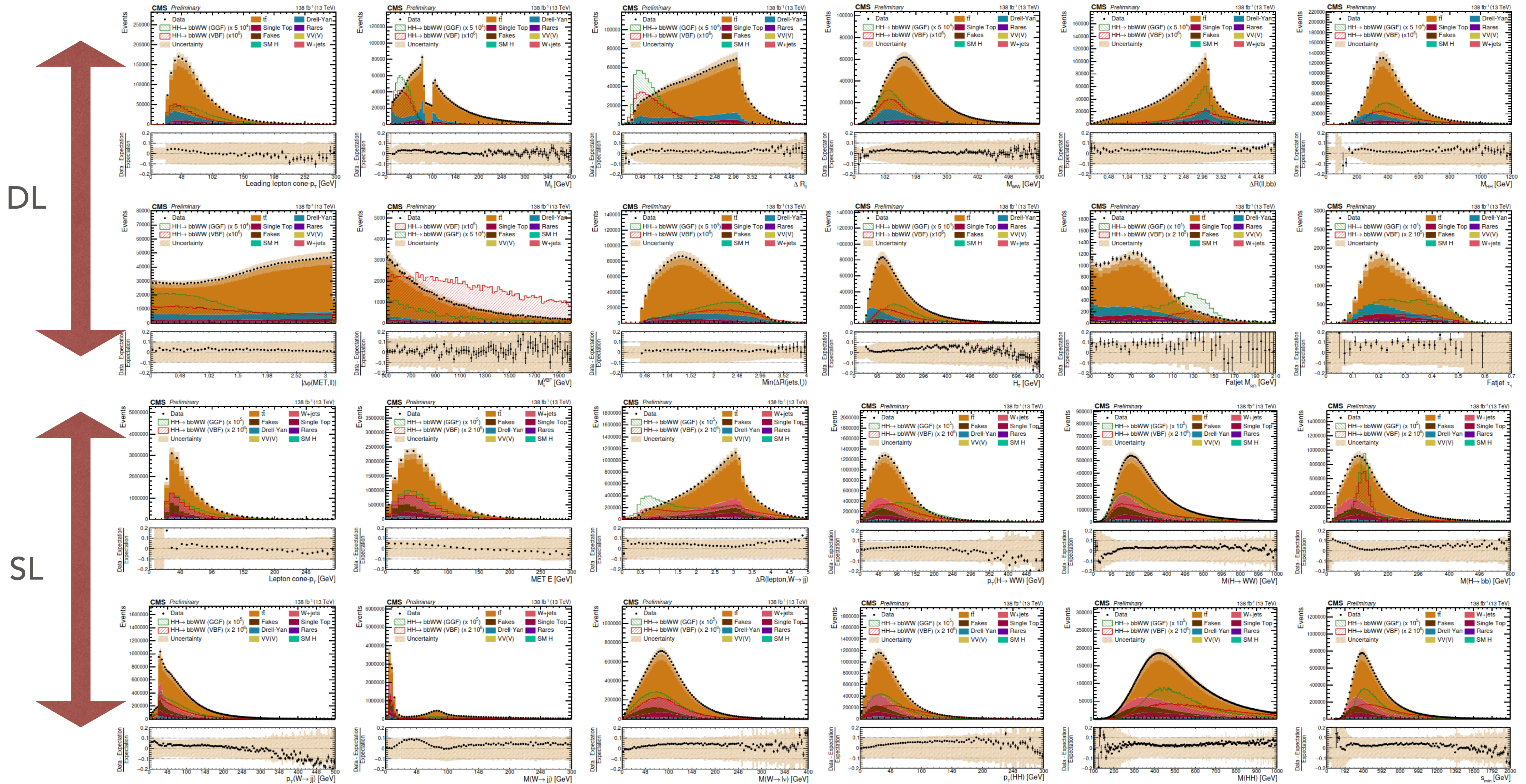
Measurement region

$$m_T^{fix} = \sqrt{2p_T^{fix} E_T^{\text{miss}} (1 - \cos \Delta\phi)},$$

$$f_i = \frac{N_{pass}}{N_{pass} + N_{fail}}$$

$$w = (-1)^{n+1} \prod_{i=1}^n \frac{f_i}{1 - f_i},$$

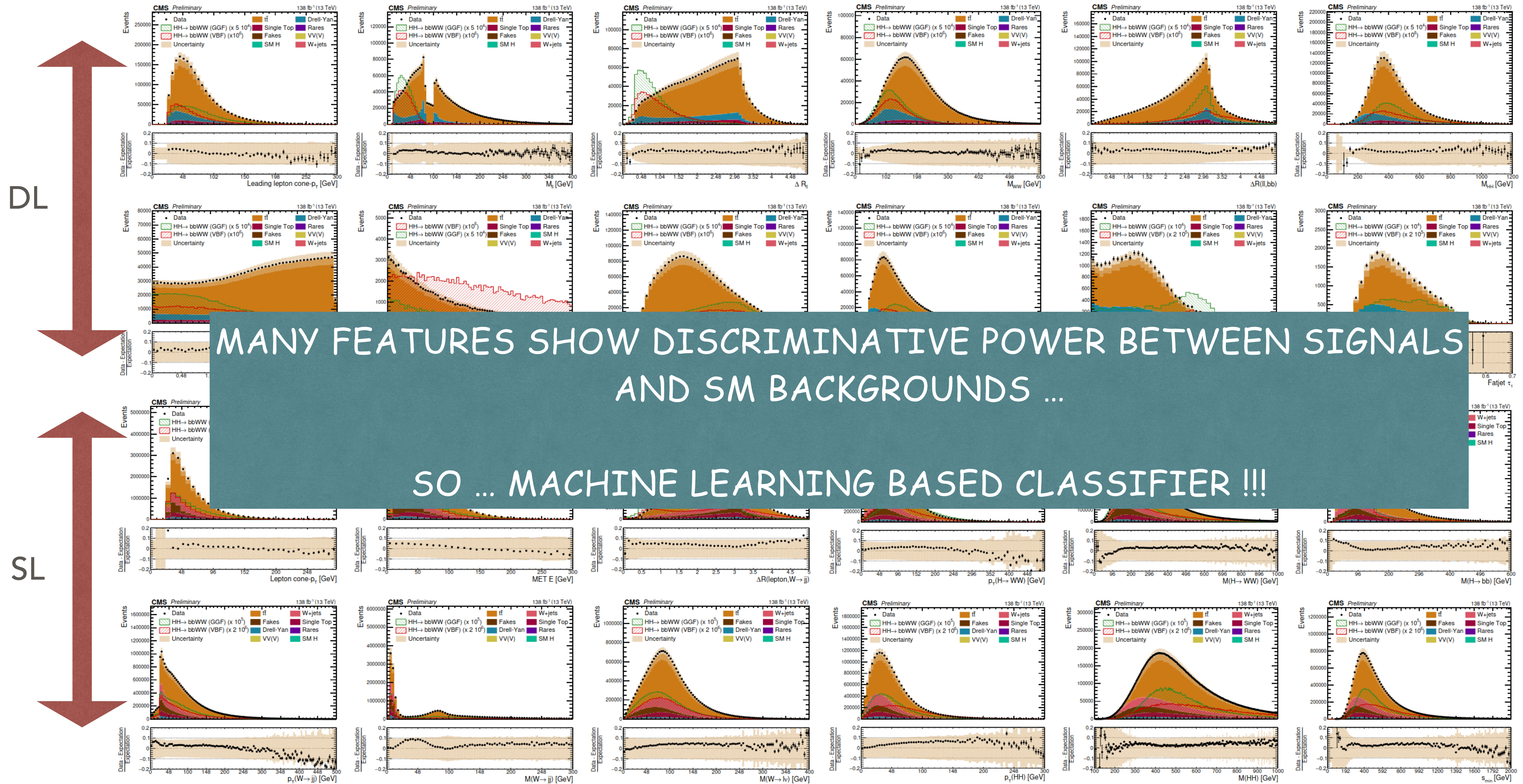
Analysis Strategy



DL

SL

Analysis Strategy



Analysis Strategy

Baseline Selections

SL

- At least one fakeable lepton
- Single lepton trigger
- $p_T^\mu > 25 \text{ GeV}$ or $p_T^e > 32 \text{ GeV}$
- τ_h veto
- $m_{ll} > 12 \text{ GeV}$ & $|m_{ll} - m_Z| > 10 \text{ GeV}$
- Leading fakeable lepton must be tight
- $n_{\text{Ak4-Jets}} \geq 3$ & $n_{\text{Ak4-bJets}} \geq 1$ & $n_{\text{Ak8-Jets}} = 0$: Resolved [$n_{\text{Ak4-bJets}} = 1$ or $n_{\text{Ak4-bJets}} \geq 2$]
- $n_{\text{Ak8-bJets}} \geq 1$ & $n_{\text{Ak4Jets}} (\text{Ak8b-cleaned}) \geq 1$: Boosted

DL

- At least two fakeable leptons
- Single or double lepton trigger
- lepton-1 $p_T > 25 \text{ GeV}$, lepton-2 $p_T > 15 \text{ GeV}$
- Opposite charge
- $m_{ll} > 12 \text{ GeV}$ & $|m_{ll} - m_Z| > 10 \text{ GeV}$
- Not more than 2 tight leptons
- $n_{\text{Ak4-Jets}} \geq 2$ & $n_{\text{Ak4-bJets}} \geq 1$ & $n_{\text{Ak8-Jets}} = 0$: Resolved [$n_{\text{Ak4-bJets}} = 1$ or $n_{\text{Ak4-bJets}} \geq 2$]
- $n_{\text{Ak8-bJets}} \geq 1$: Boosted

Multivariate Analysis

Multi-class DNN

Process	Description
HH(GGF)	Gluon fusion Higgs boson pair production
HH(VBF)	Vector boson fusion Higgs boson pair p.
$t\bar{t}$	Top quark pair p.
ST	Single top quark p.
WJets	W boson with additional jets p.
H	Single Higgs boson p.
Other SL	All other, among them Drell-Yan

Multi-class DNN

Process	Description
HH(GGF)	Gluon fusion Higgs boson pair production
HH(VBF)	Vector boson fusion Higgs boson pair p.
$t\bar{t}$	Top quark pair p.
ST	Single top quark p.
DY	Drell-Yan
H	Single Higgs boson p.
$t\bar{t}V(X)$	Top quark pair associate vector boson p. with possible additional vector or Higgs boson ($t\bar{t}V$, $t\bar{t}VV$, $t\bar{t}VH$)
VV(V)	Multiple vector boson p. (WW, WZ, ZZ, WWW, WWZ, WZZ, ZZZ)
Other DL	All other, among them W boson p. with additional jets

Statistical Analysis

Process Group	Sub-Categories		
HH(GGF)	Resolved 1b	Resolved 2b	Boosted
HH(VBF)	Resolved 1b	Resolved 2b	Boosted
Top + Higgs	Resolved		Boosted
WJets	Inclusive		
Other SL	Inclusive		

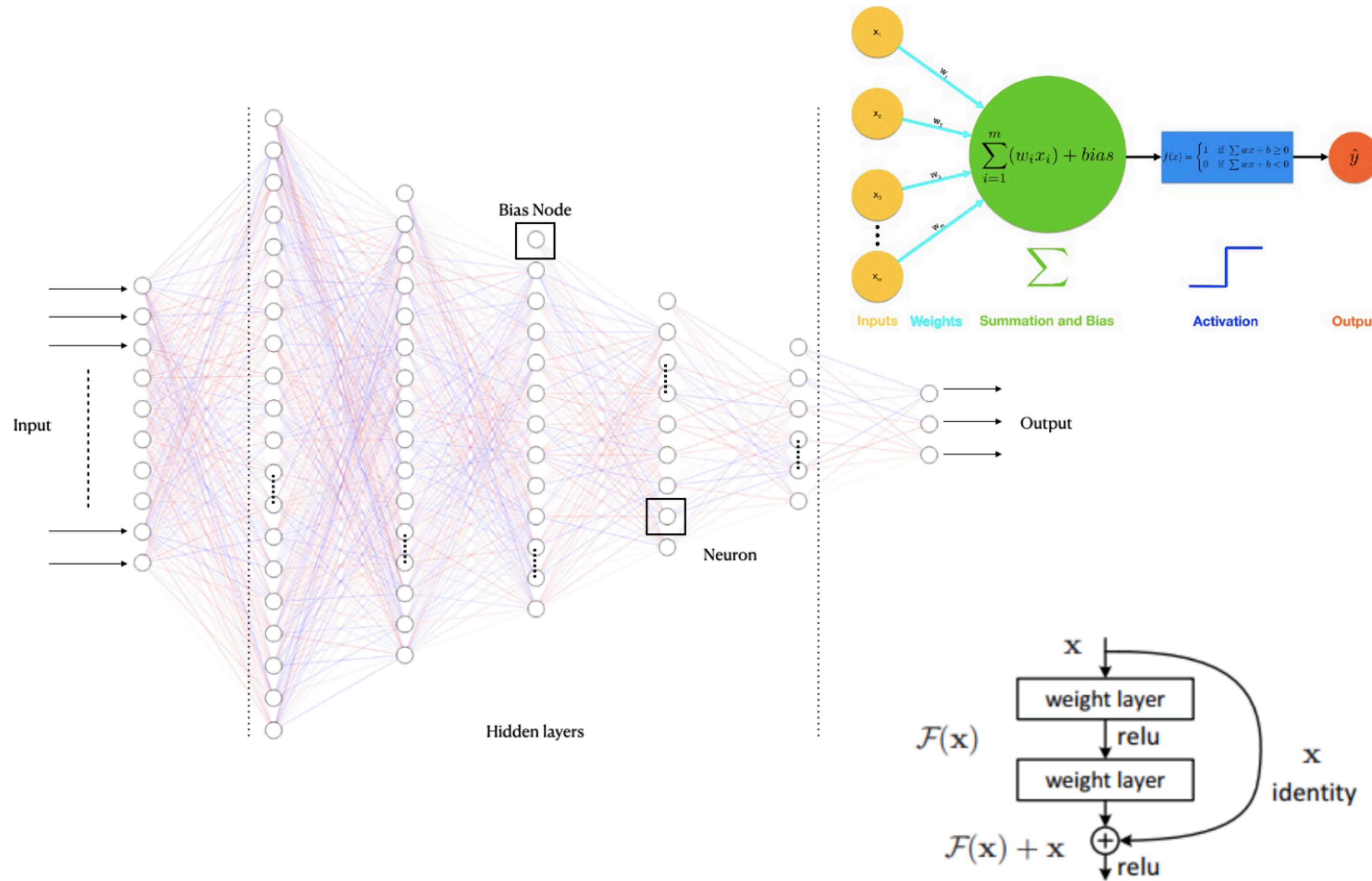
SL Full Run2 limit

Combined Full Run2 limit

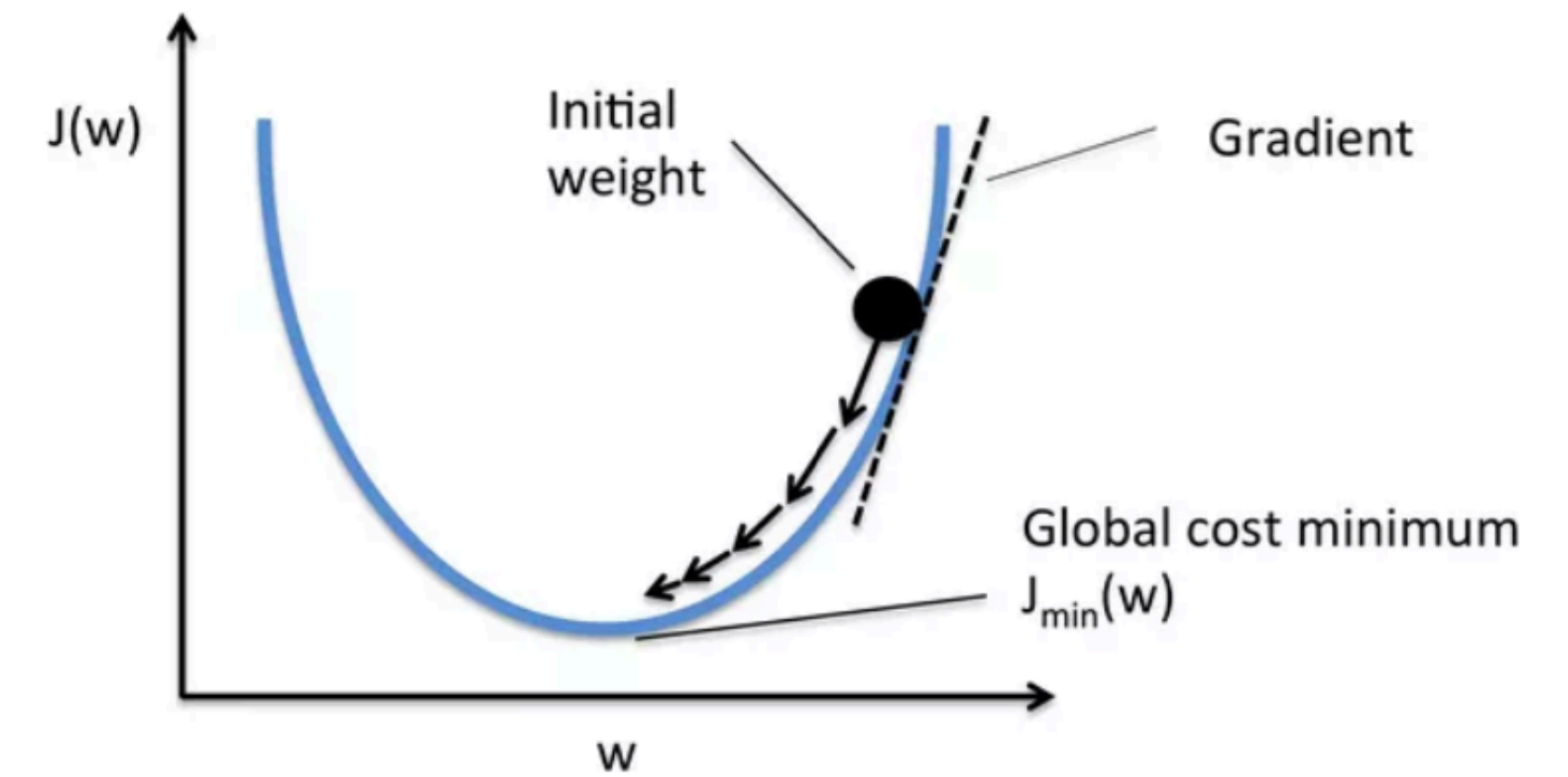
DL Full Run2 limit

Process Group	Sub-Categories		
HH(GGF)	Resolved 1b	Resolved 2b	Boosted
HH(VBF)	Resolved 1b	Resolved 2b	Boosted
Top + Other	Resolved		Boosted
DY + VV(V)	Inclusive		

Machine Learning: Neural Network

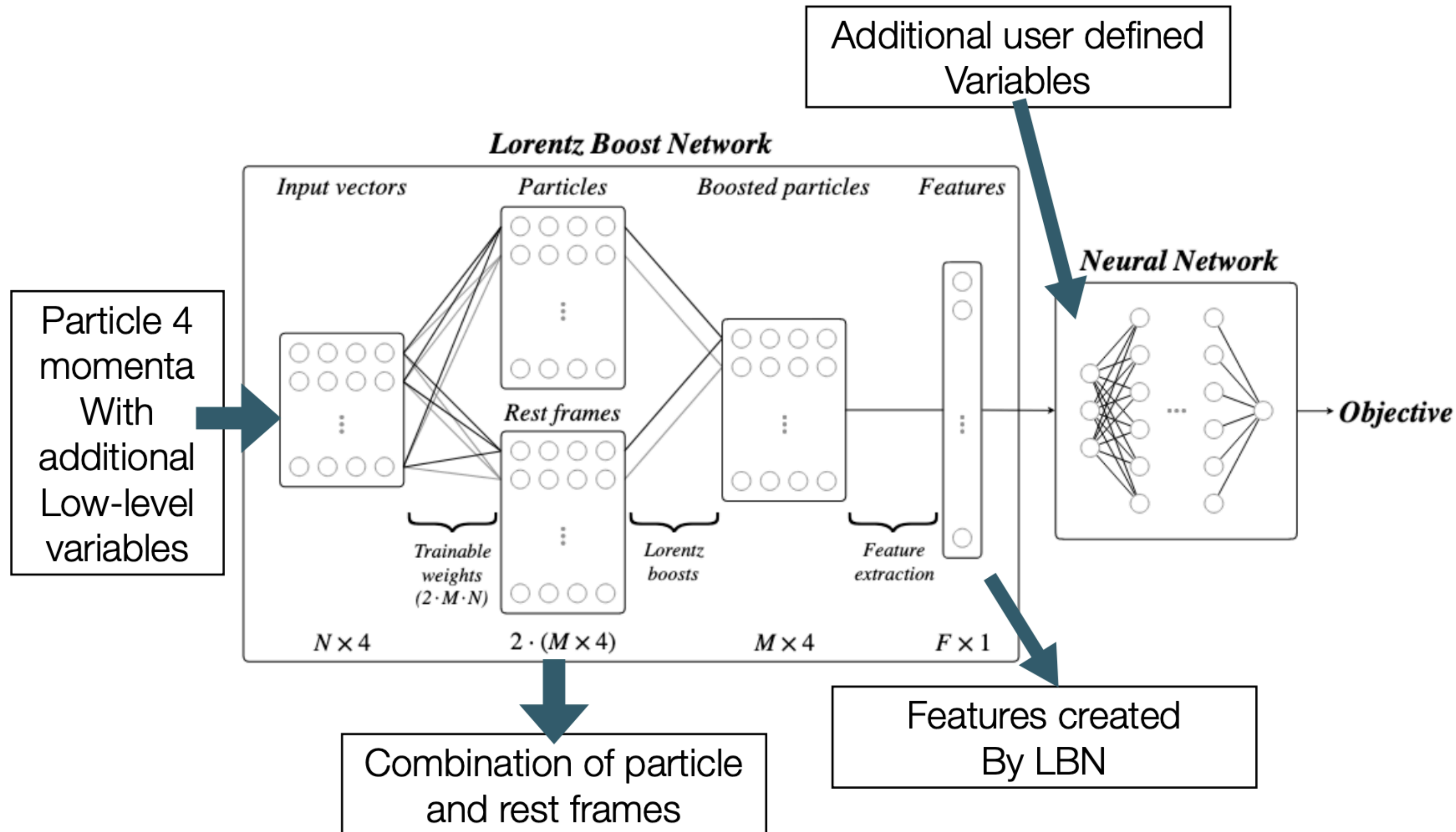


Link



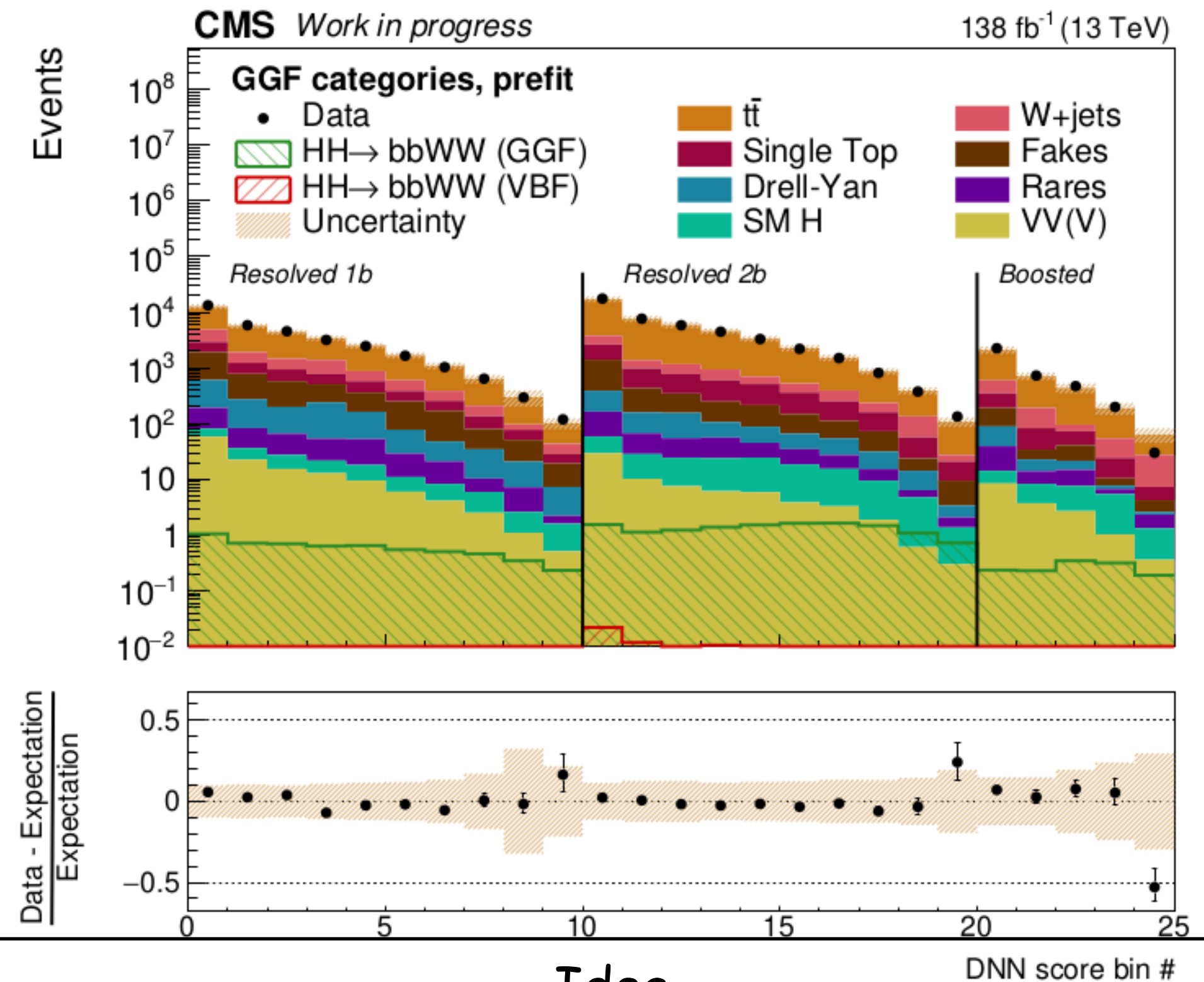
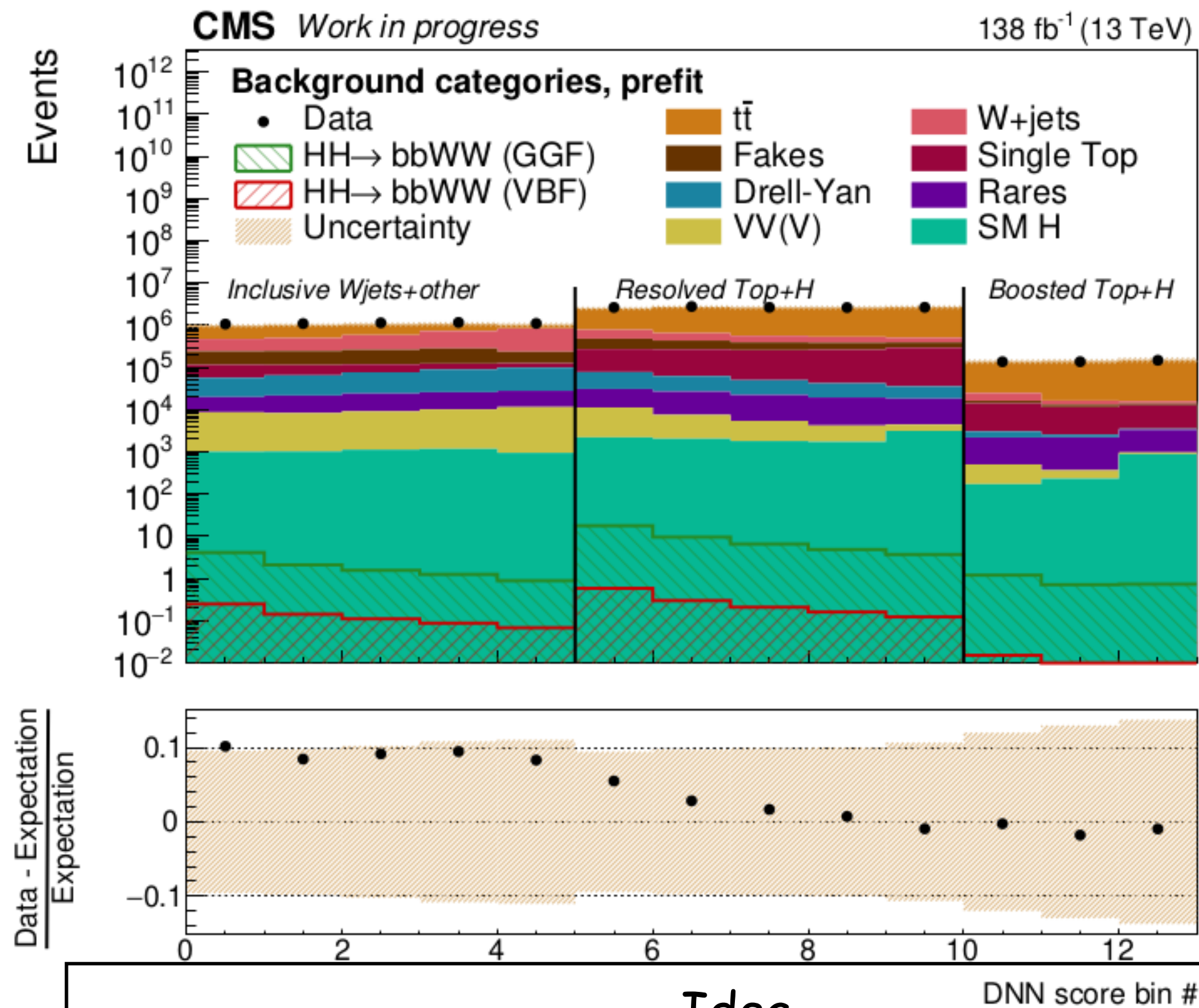
LBN + DNN

- Lorentz boost network (LBN) as an input pre-processor to the DNN



- Architecture SL(DL):
 - 12 output particles from the LBN
 - 235(239) features extracted: input to NN
 - 3 ResNet blocks
 - Relu activation
 - 7(9) output nodes
 - Dropout: 10%
 - LR ~0.01
 - Batch normalisation

DNN Response



Idea

Let the fit determine the background normalization
 No need for much shape information (just enough variation in bin proportions)

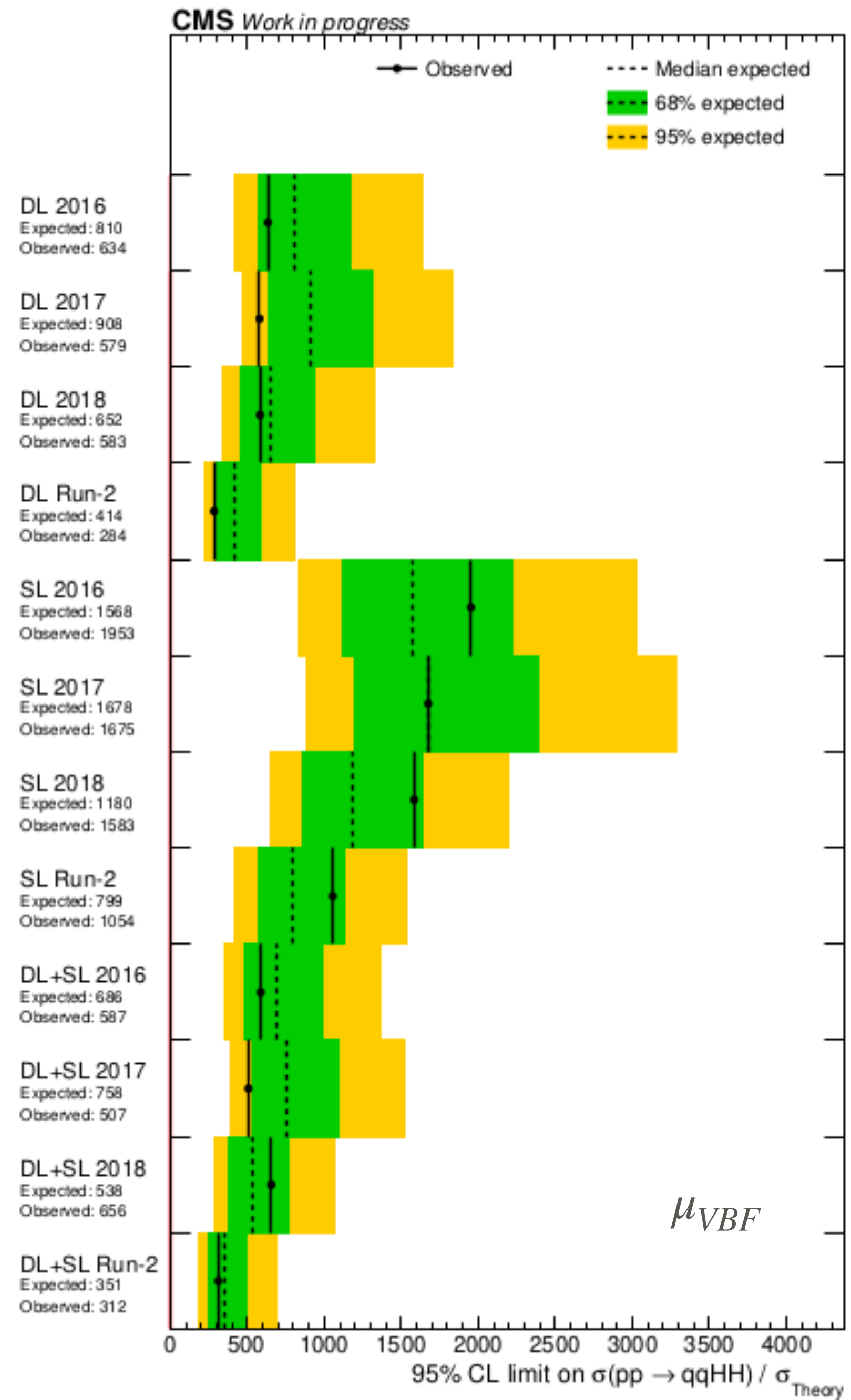
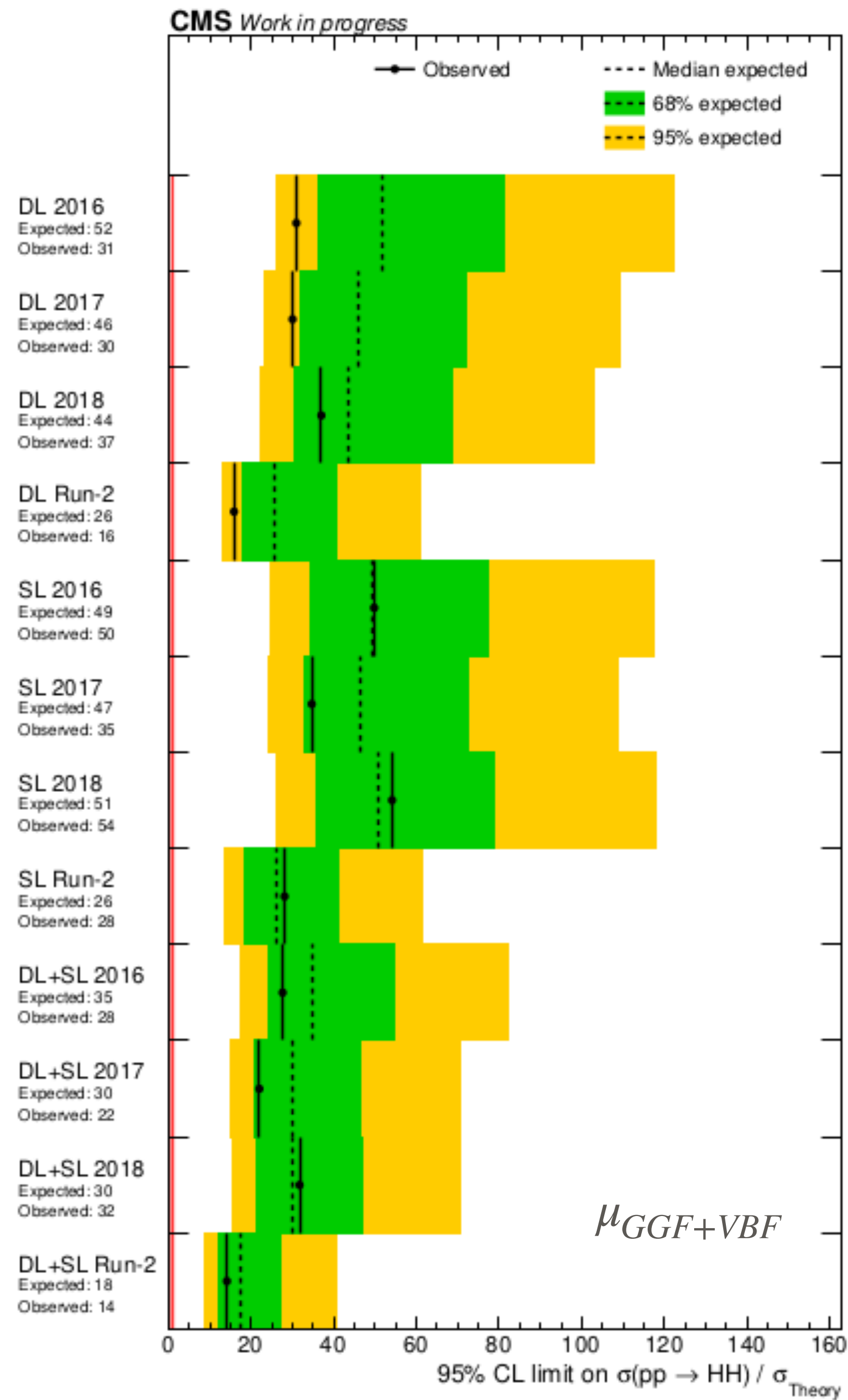
Quantile binning

Idea

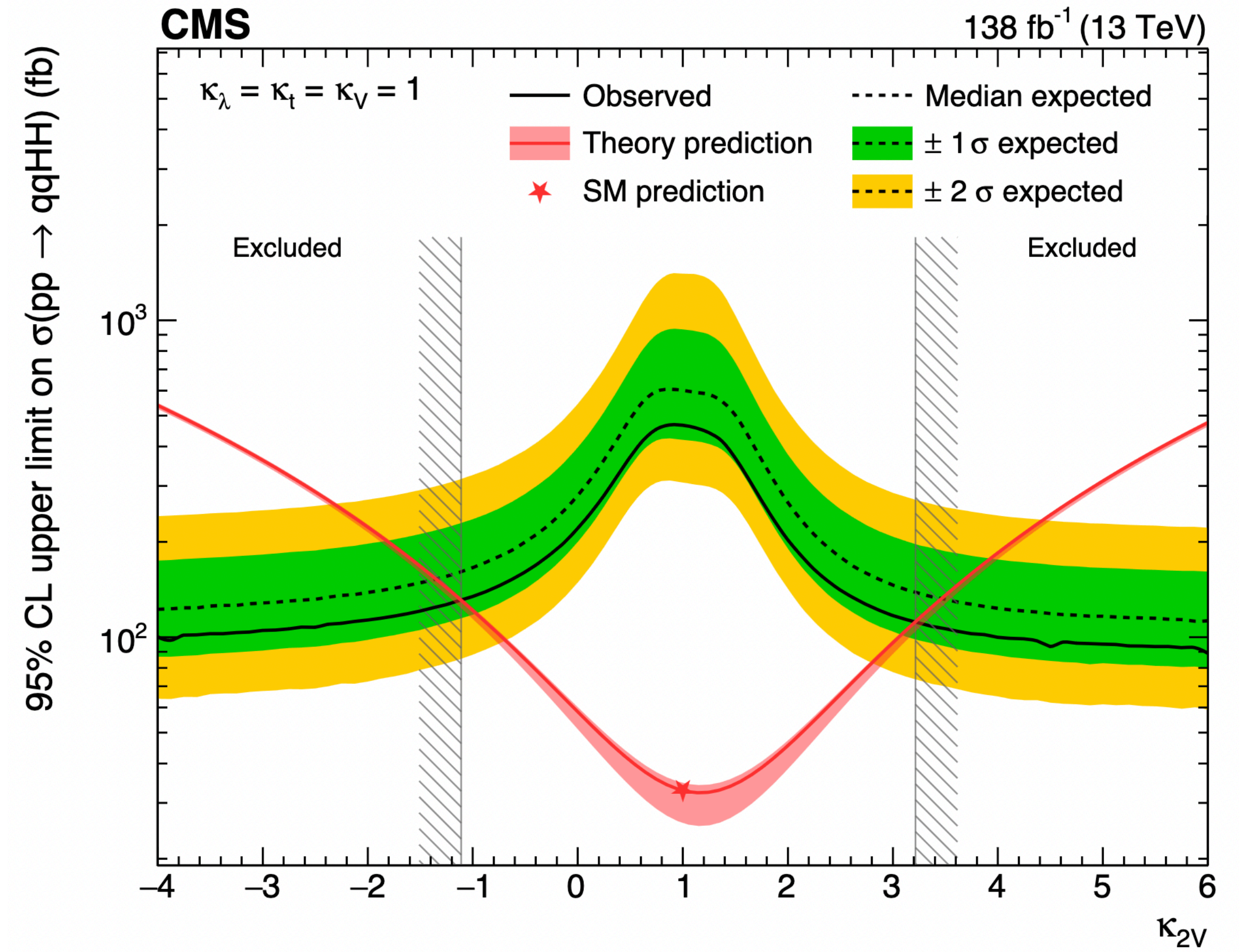
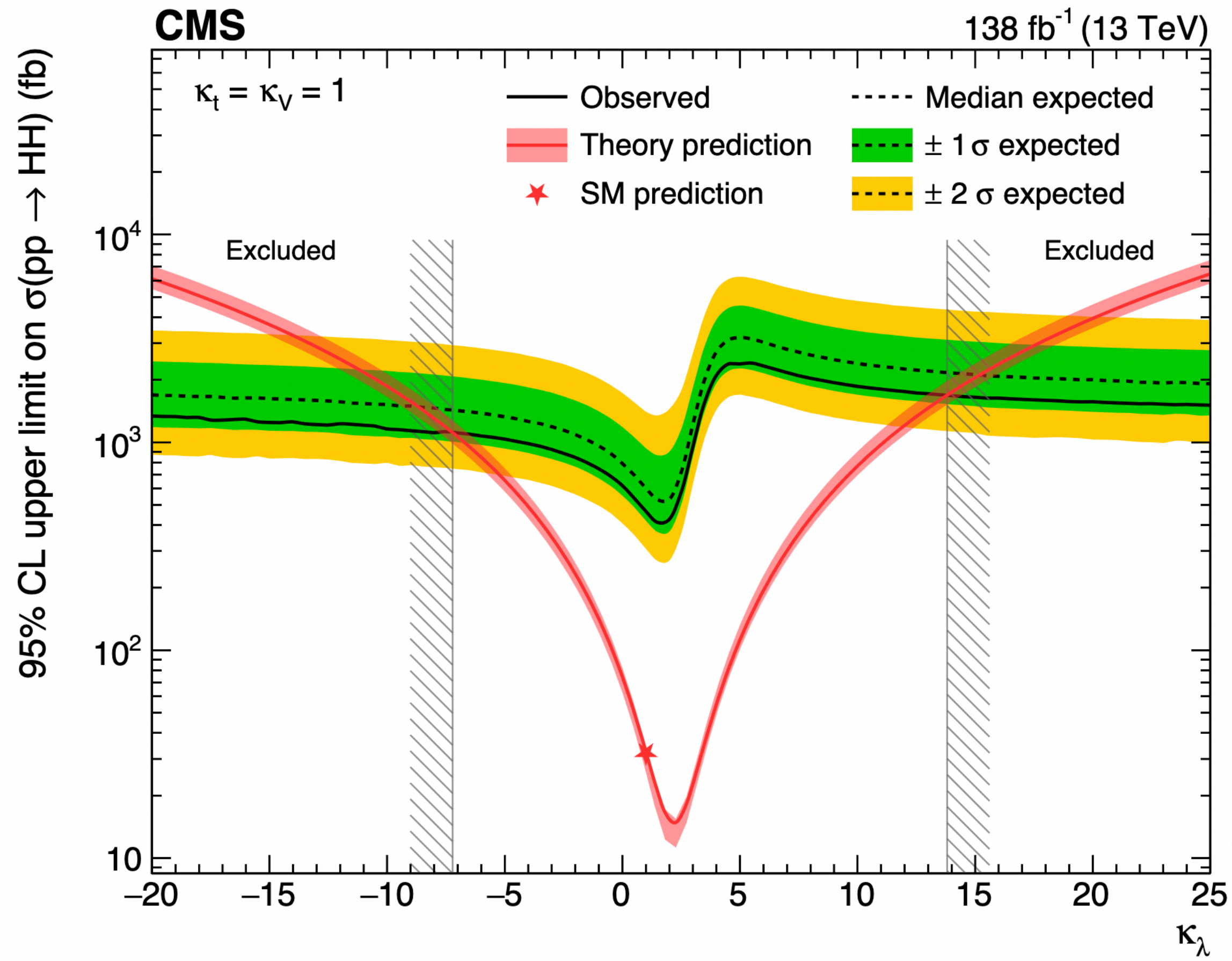
Quadratically decreasing set of thresholds (aggregated total background bin > threshold → start new bin)

Increase sensitivity to signal in the rightmost bins

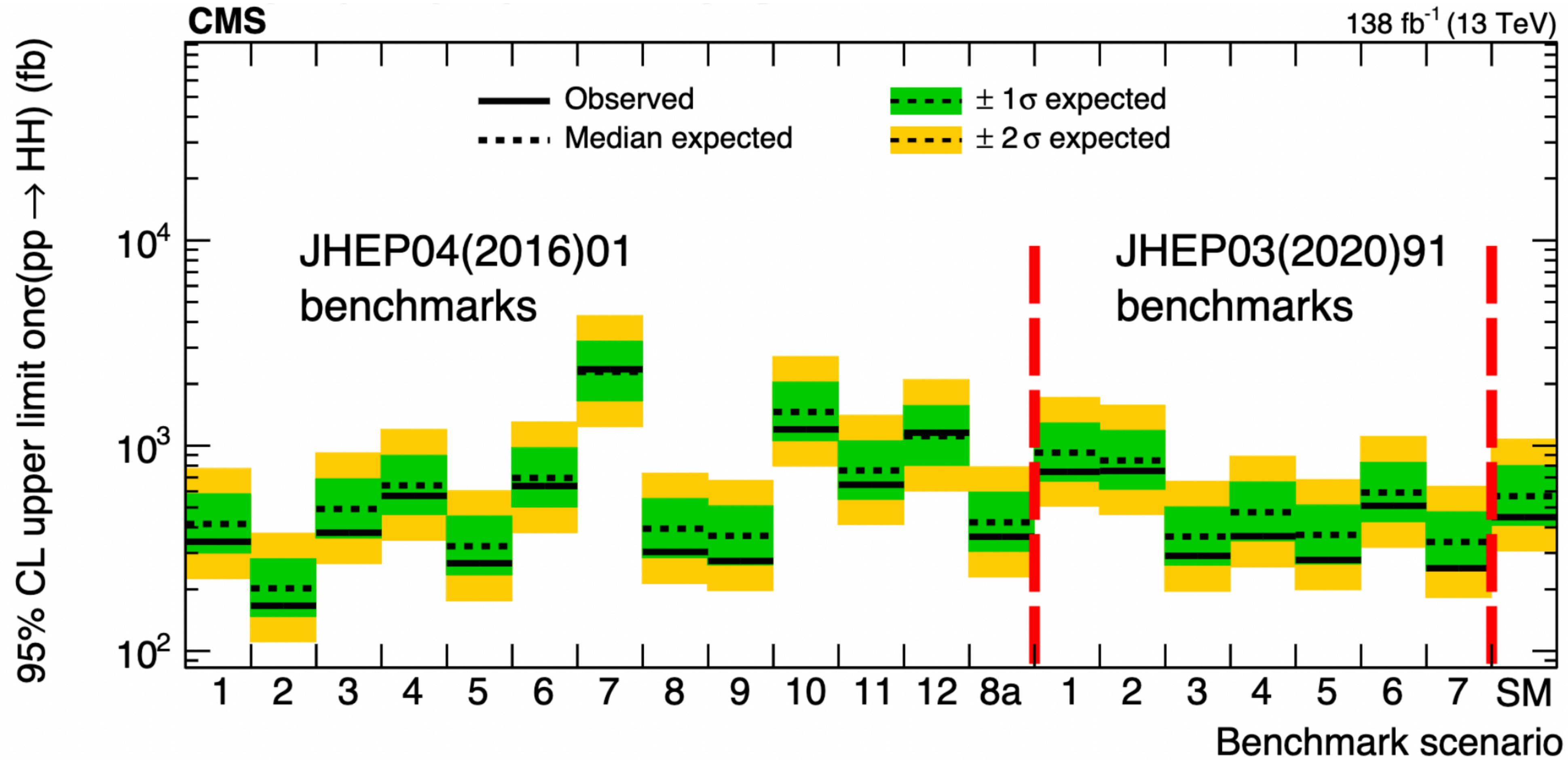
Results



Results

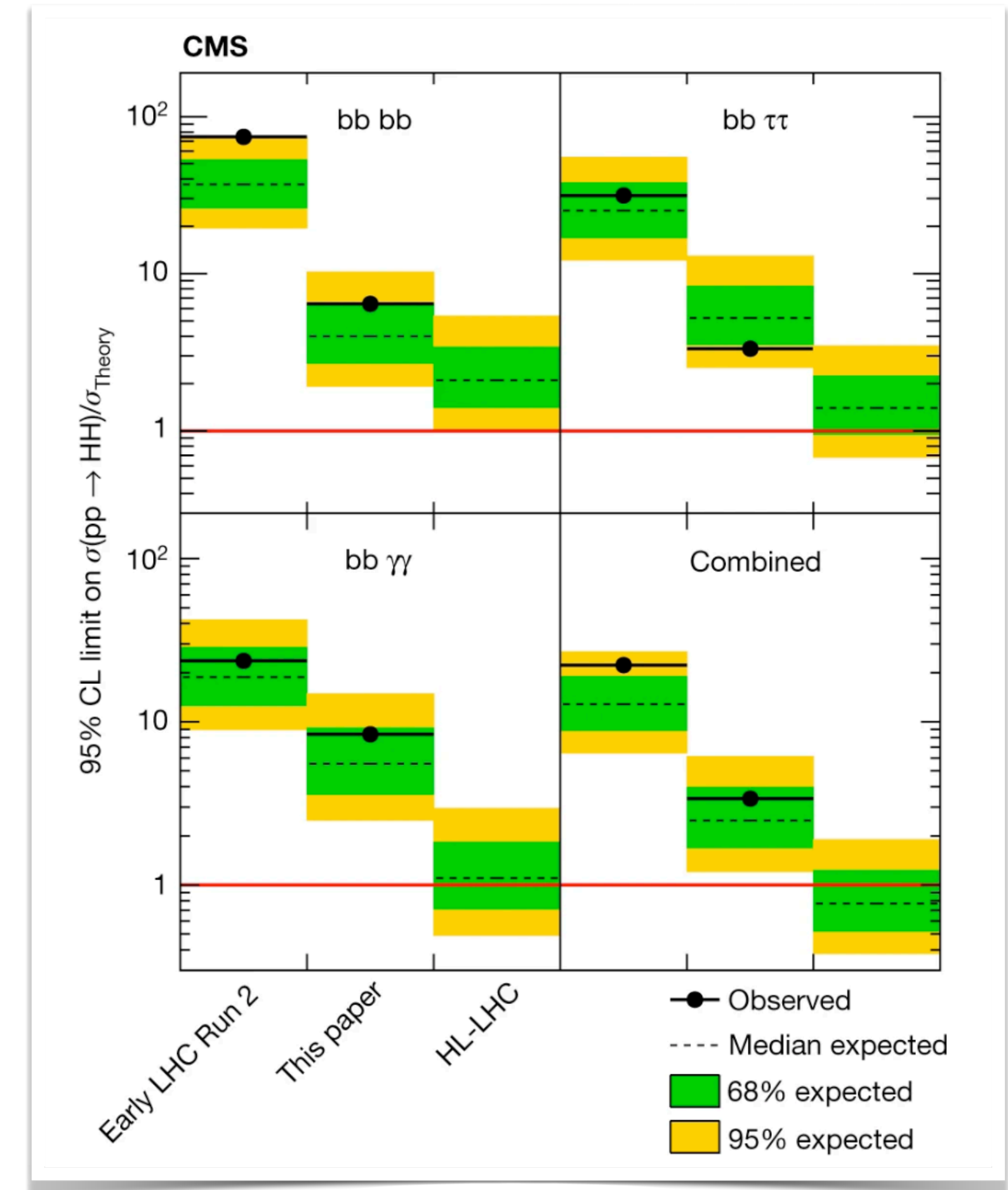
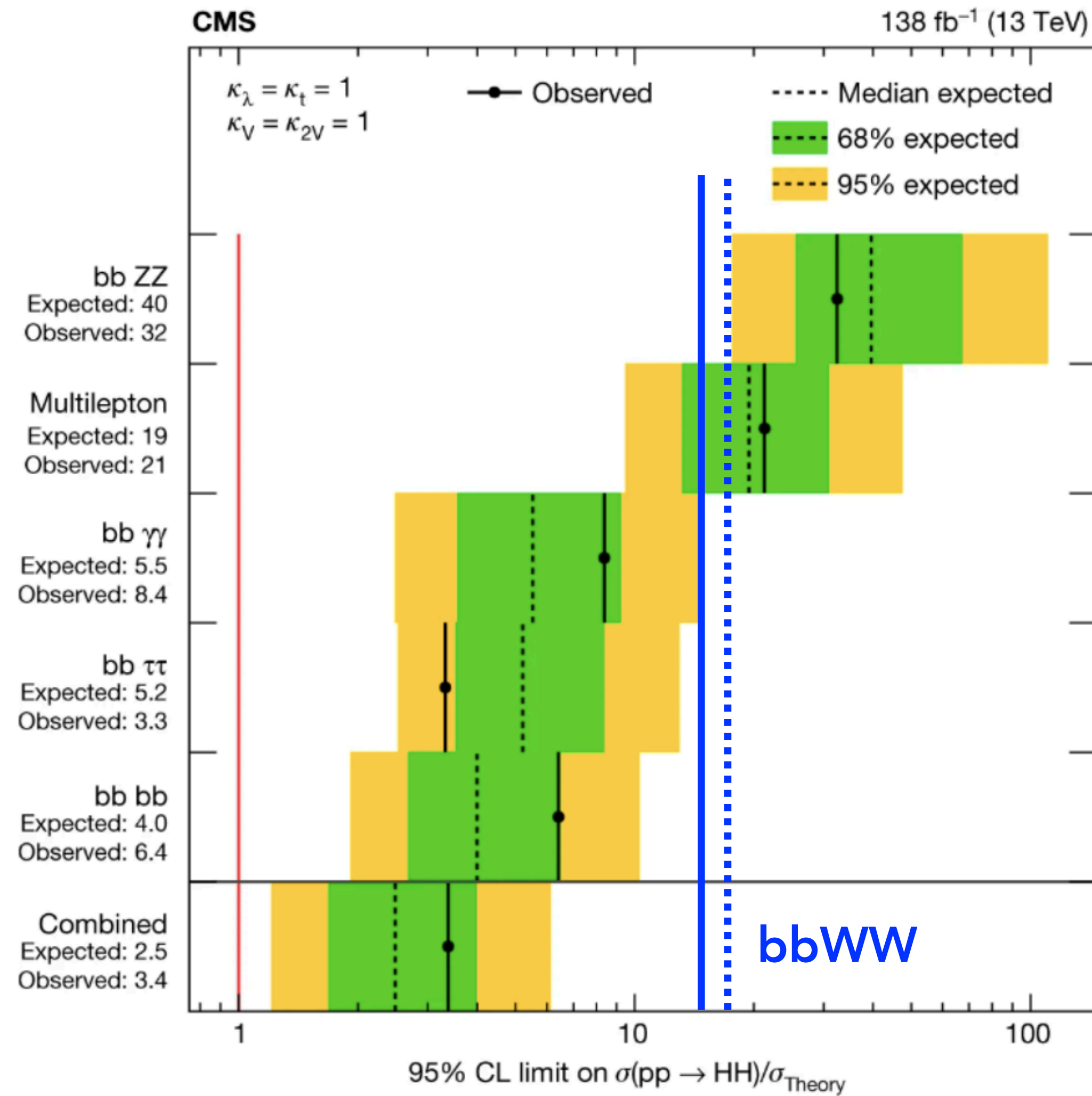


Results



SM point shows the exact same position as in κ_λ scan. Deviations show the effect of different kinematics. All are near to the SM with similar sensitivity

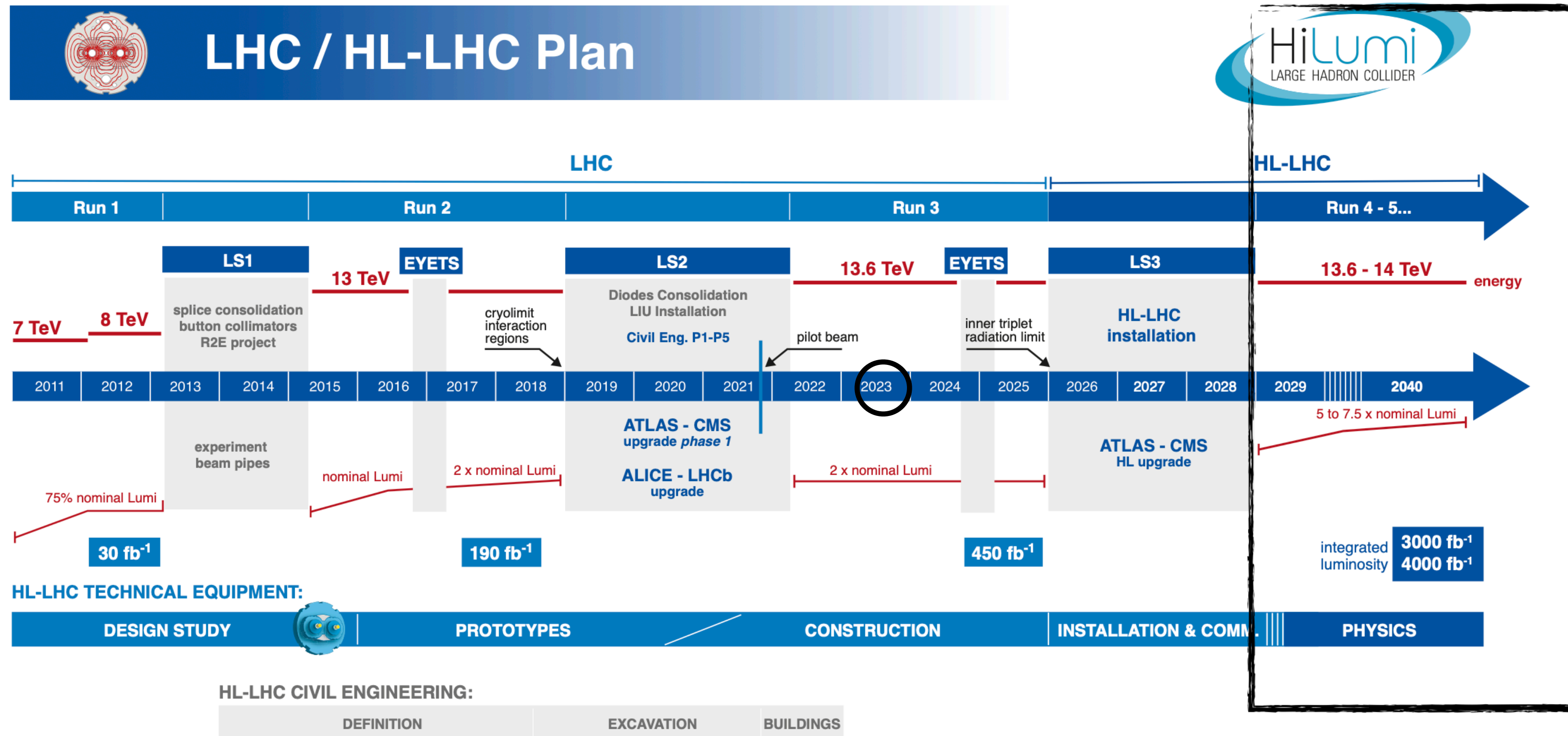
Results



A detailed 3D cutaway diagram of the CMS tracker detector. The central part of the image shows the innermost layers, including the silicon pixel detector (SPD) and the silicon strip detector (SSD), which are highlighted in blue. The outer layers consist of various support structures, cooling systems, and service modules. The detector is cylindrical and segmented into sectors. A person is shown in the lower right for scale. The text "Performance of the 2S module of new CMS tracker" is overlaid in the center-right.

**Performance of the 2S module of new
CMS tracker**

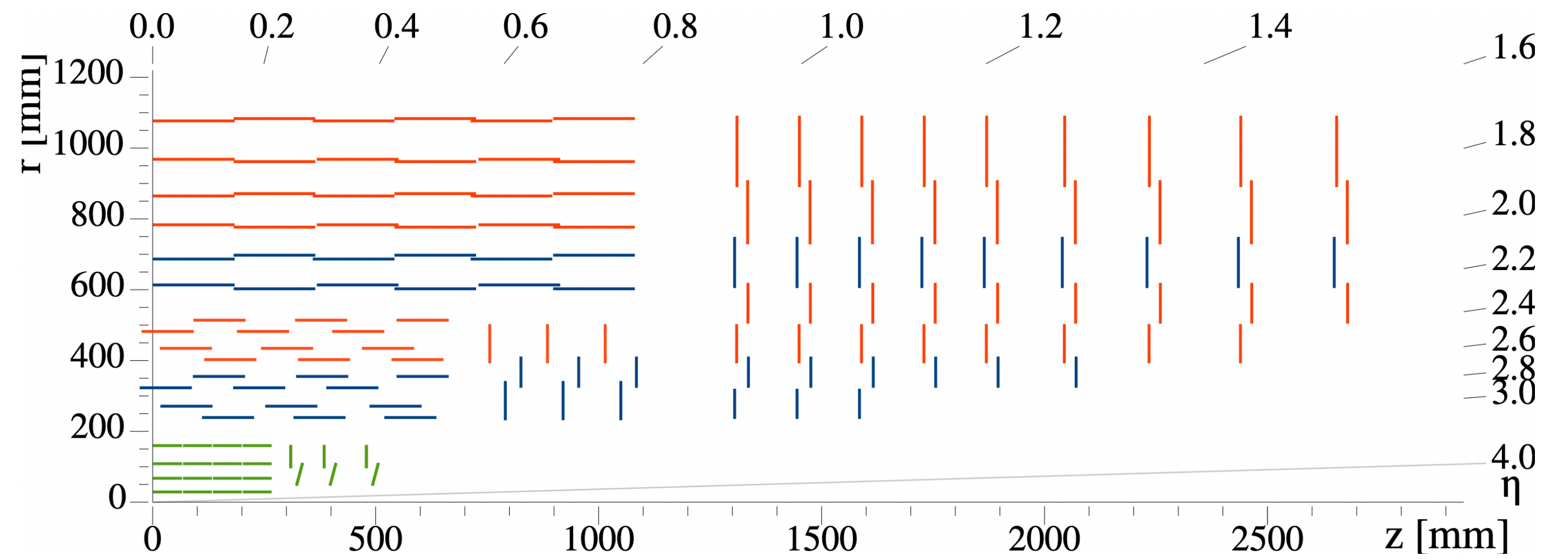
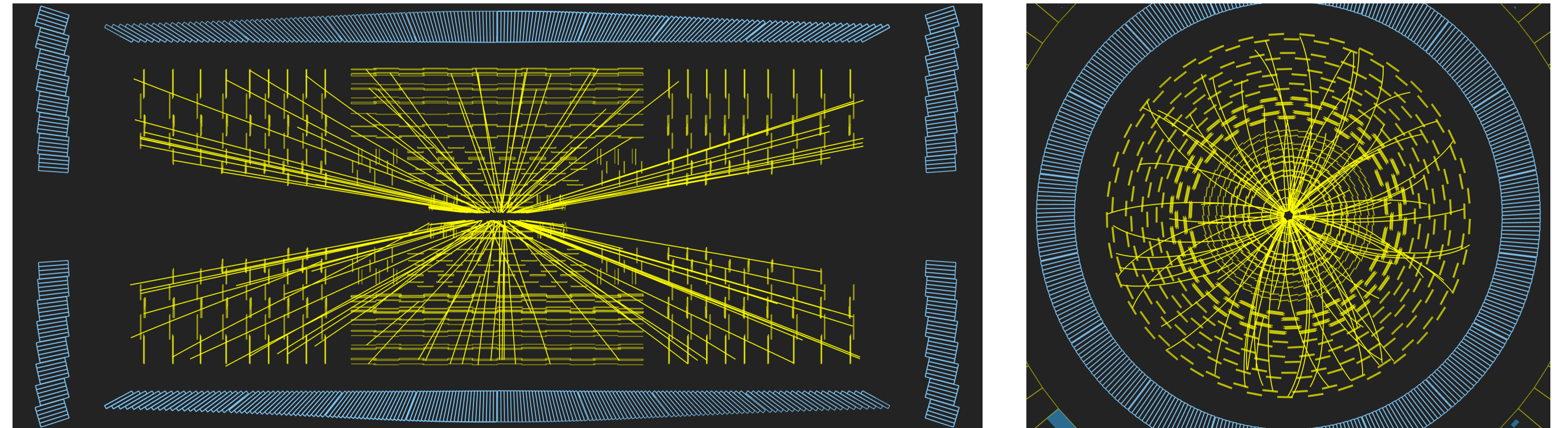
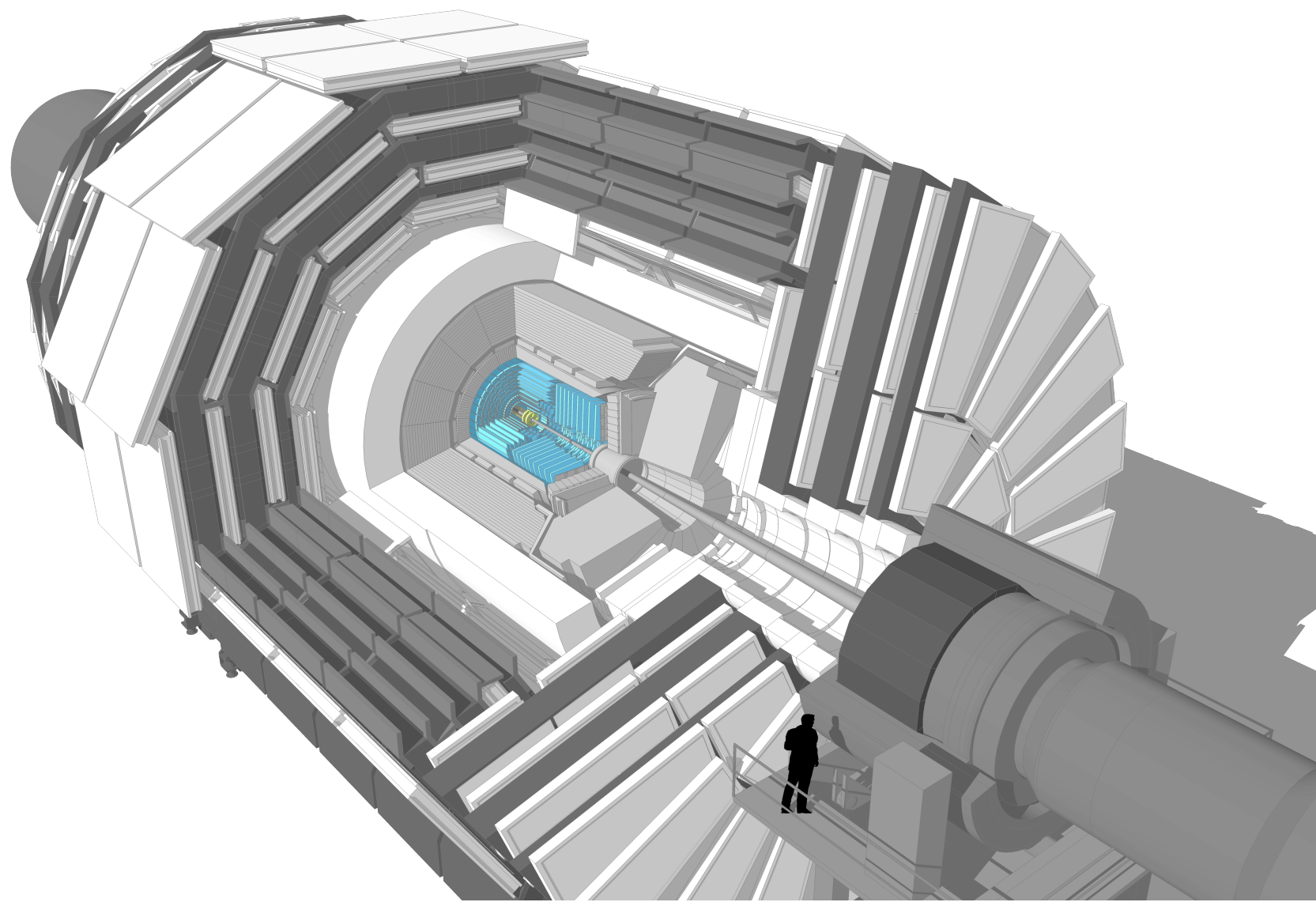
LHC -> HL-LHC



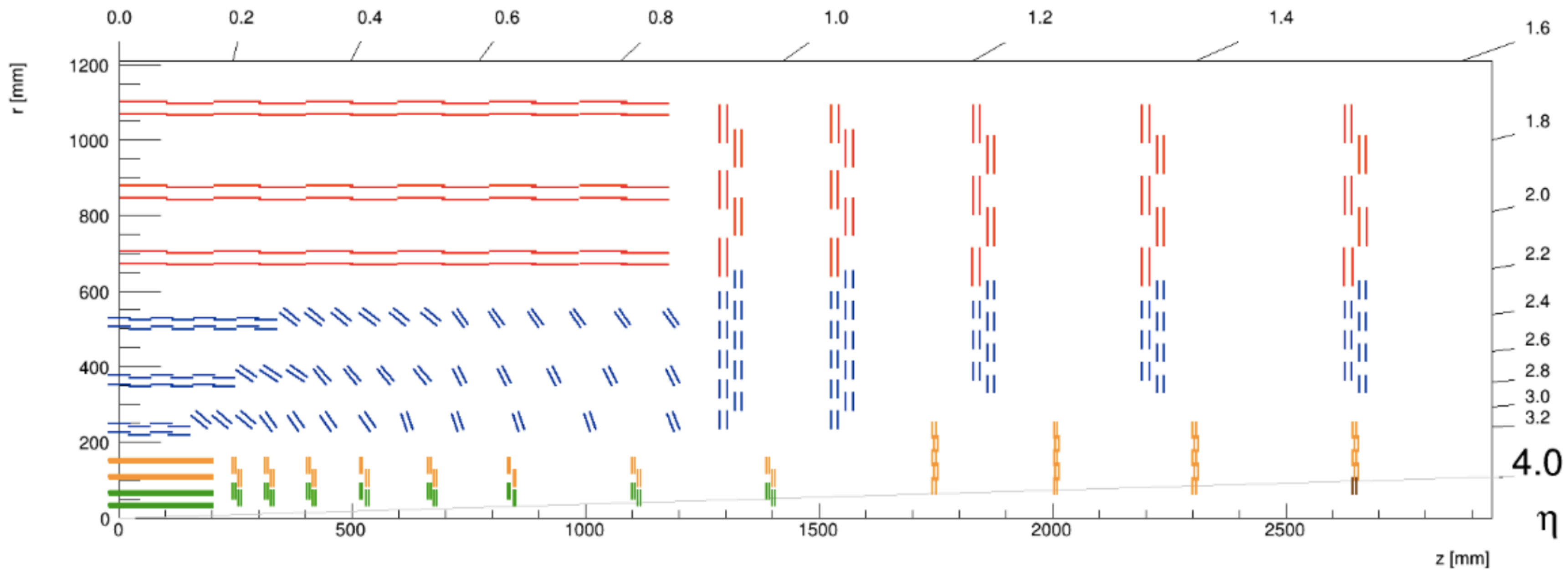
Key changes:

- 5 to 7.5 times higher instantaneous luminosity than the present one
- Expected total integrated luminosity would be > 3000 fb⁻¹
- Level-1 Trigger rate would be 750kHz instead of 100kHz
 - Inclusion of tracking information in L1
- HGCal and MTD installation
- Brand new CMS tracker

Current CMS Tracker



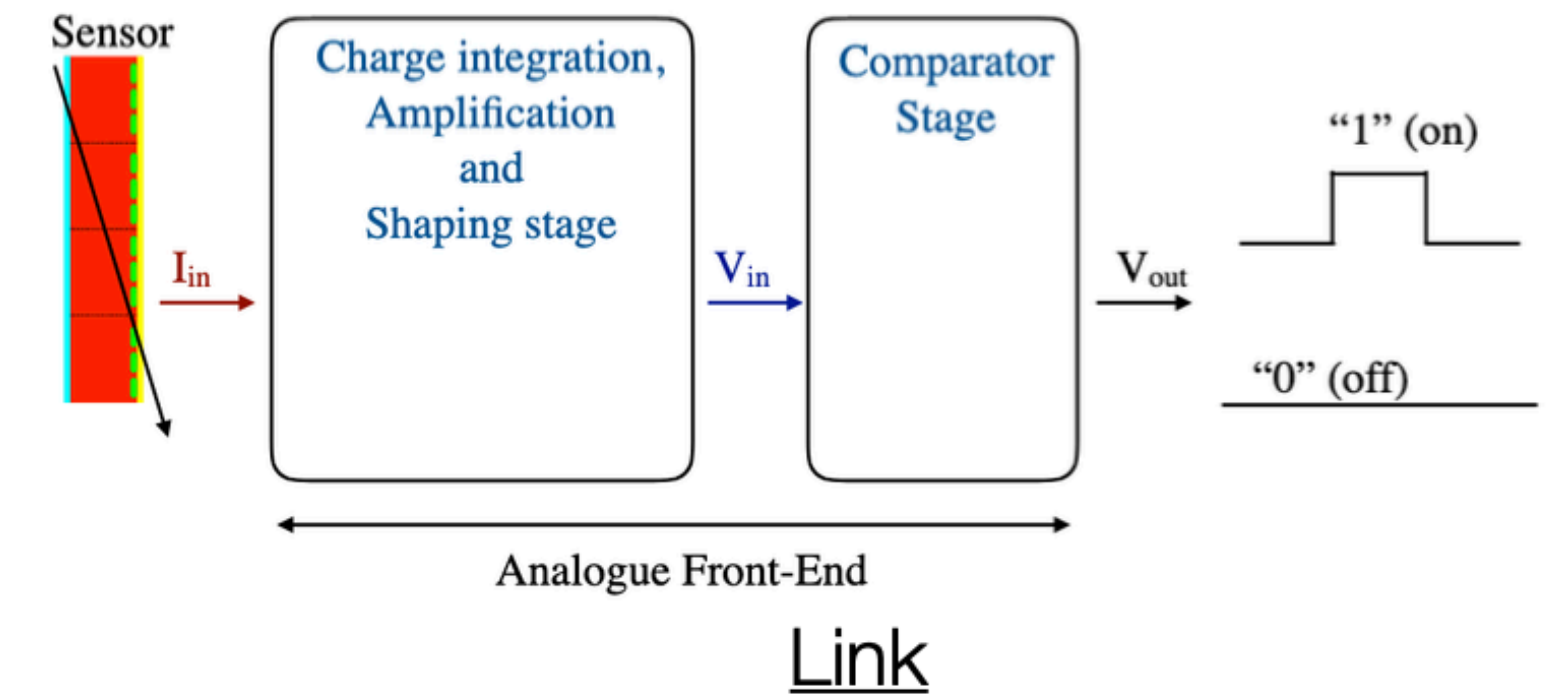
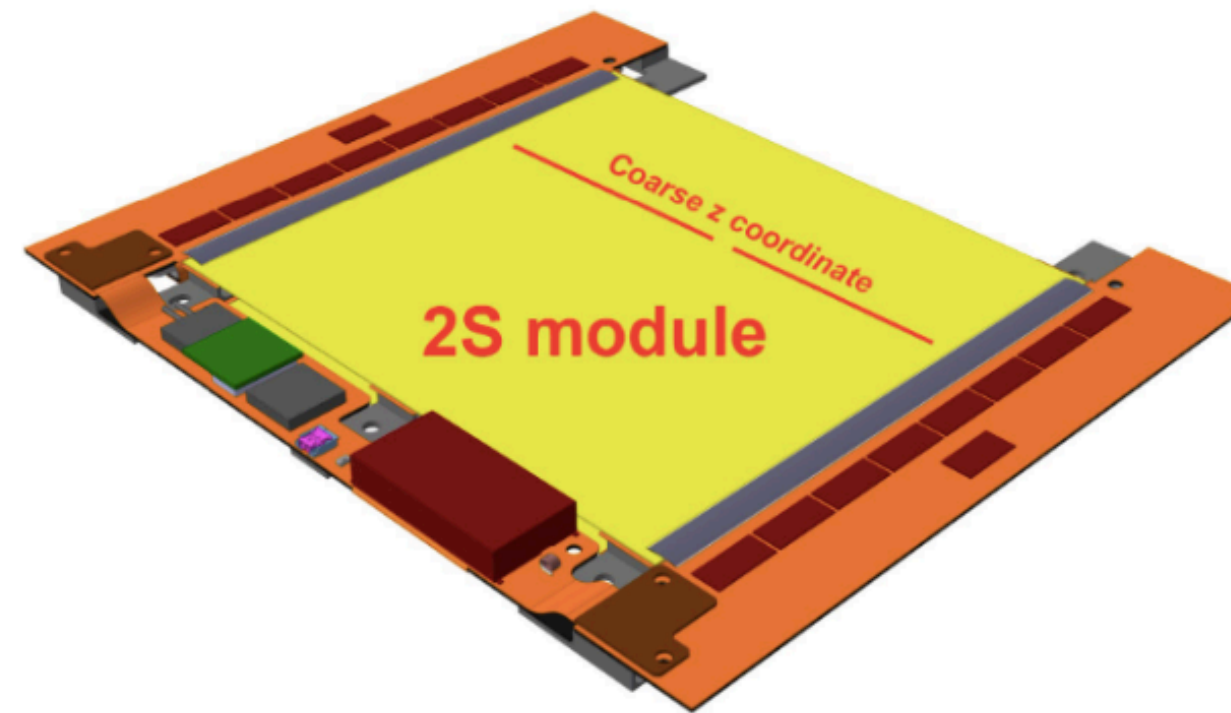
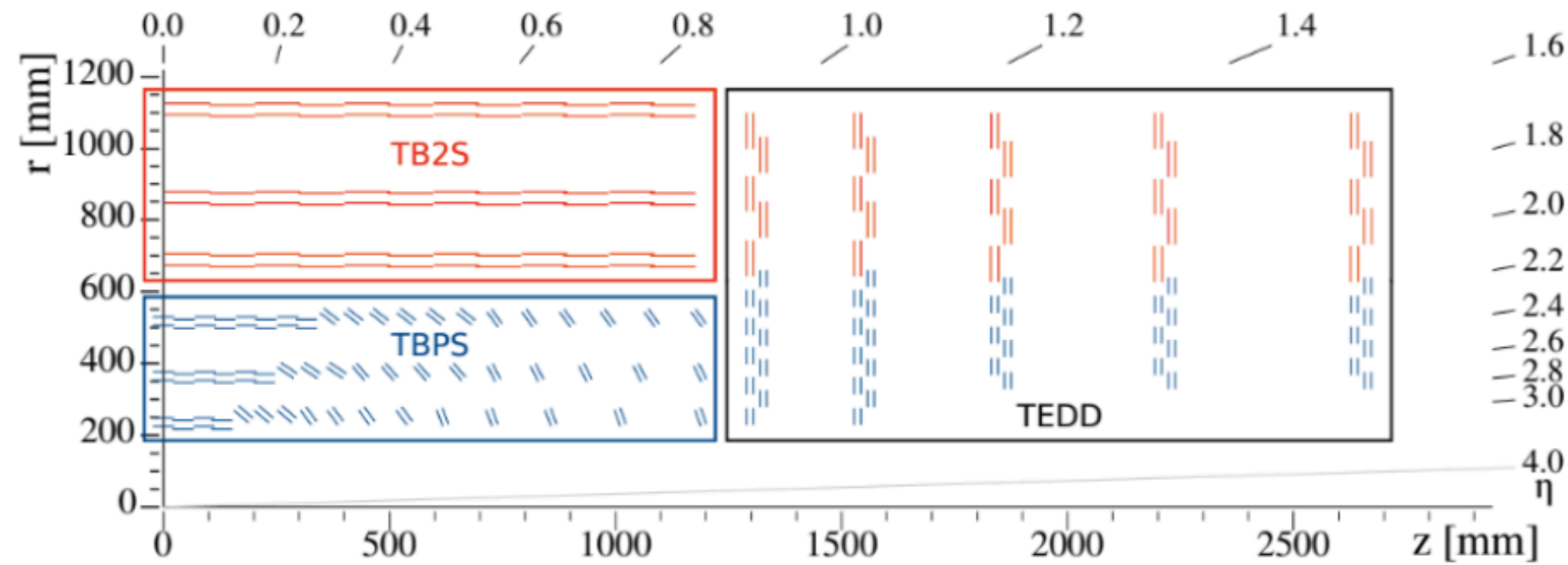
New CMS Tracker



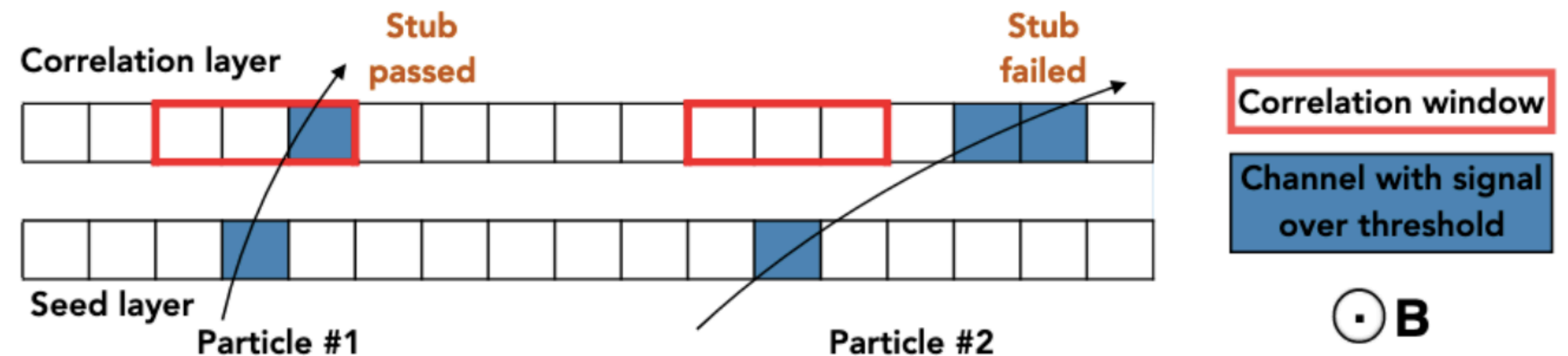
Key Requirements ...

- Radiation tolerance
- Higher granularity
- Reduced material budget
- Robust pattern recognition
- Contribution to the Level-1 Trigger
- Extended tracking acceptance

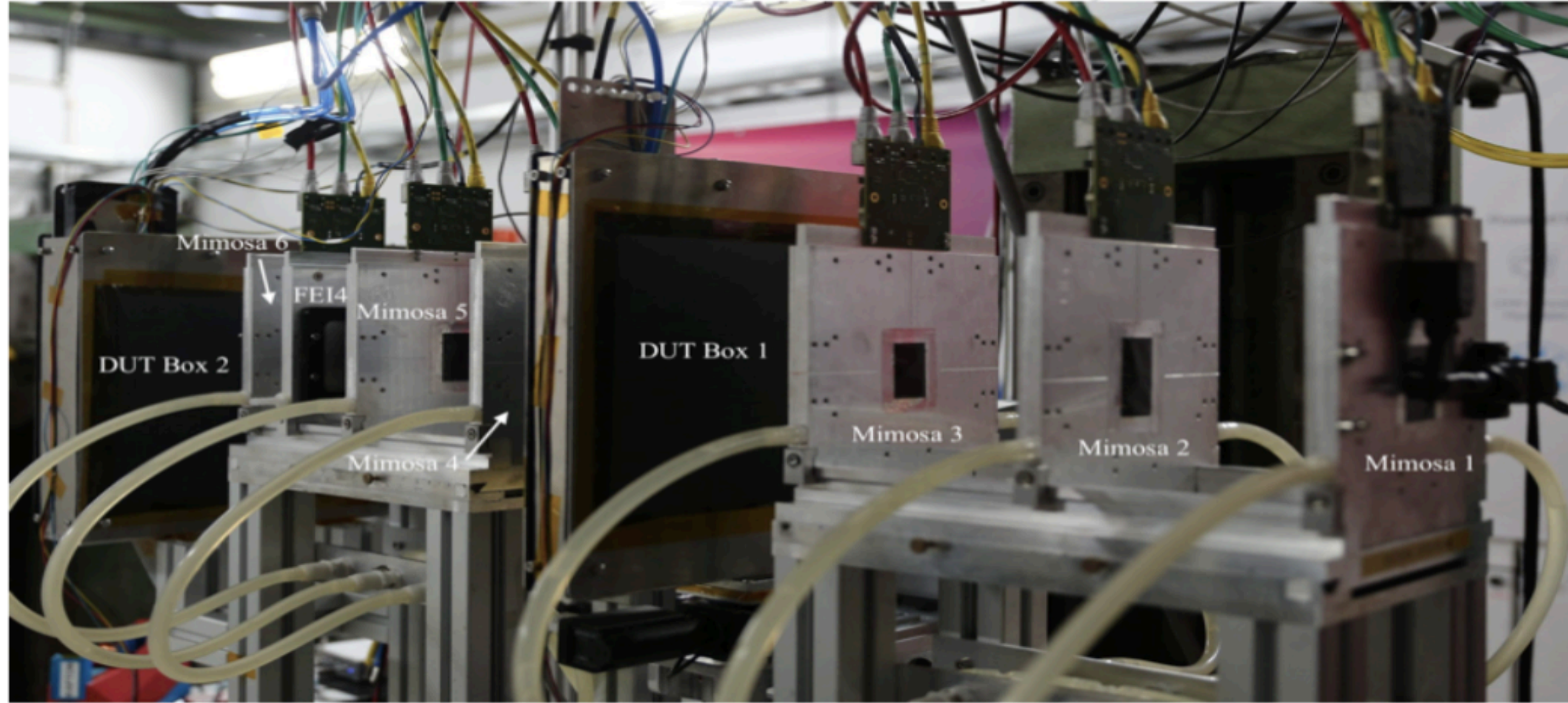
Outer Tracker : 2S pT module



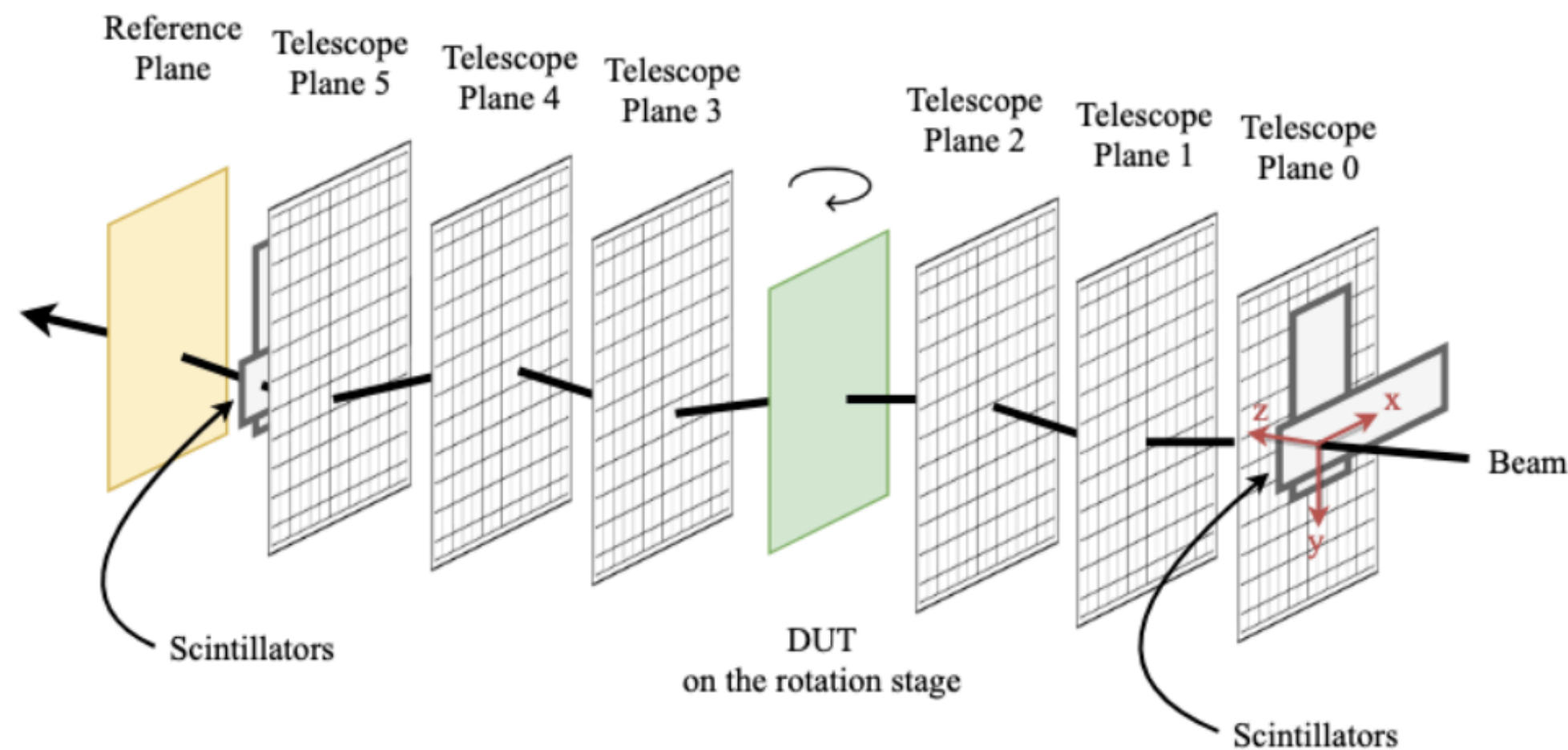
- 2 parallel sensors with 2 x 1016 Silicon strip detectors
- Strip length 5cm, pitch: 90 μ
- 2 2S FEH : 2 x 8 FE chips (CBC3)
- Position of consecutive hits i.e. clusters with half-strip precision
- Advantage of on-module track reconstruction above a pT threshold through "Stub" formation



Beam Test

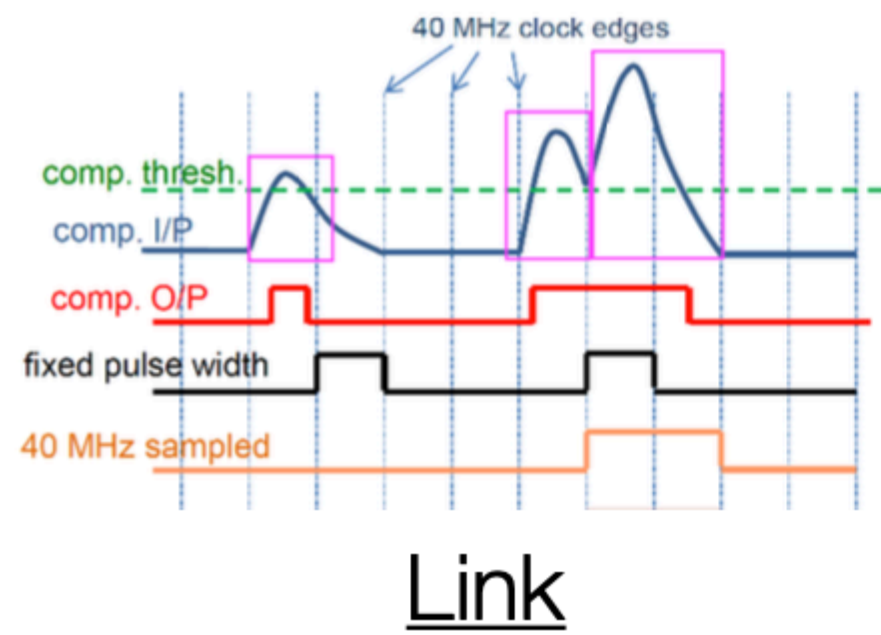


- Proton (120 GeV) / Electron (4 GeV) beam
- DUT: Detector under test (2S module) with resolution $\sim 25 \mu\text{m}$
- Telescope system: Six pixel detectors with resolution $\sim 4 \mu\text{m}$
- Fel4: Timing layer used for trigger
- Telescope planes reconstruct tracks precisely
- Tracks with hit at Fel4 are selected
- Clusters or stubs matched with the 'selected' tracks describes the performance of a DUT by the track matching efficiencies
- Effect of radiation has been examined using irradiated module
- Mainly two type of scans have been performed:
 - Threshold (V_{CTH}) scan
 - Angular Scan

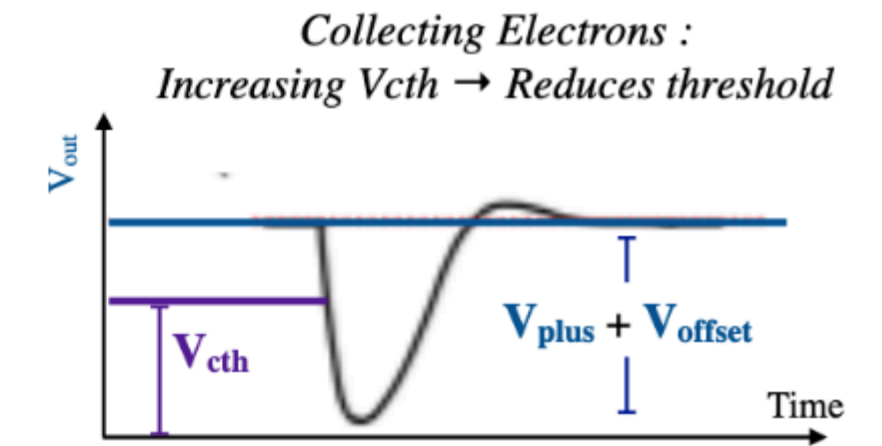
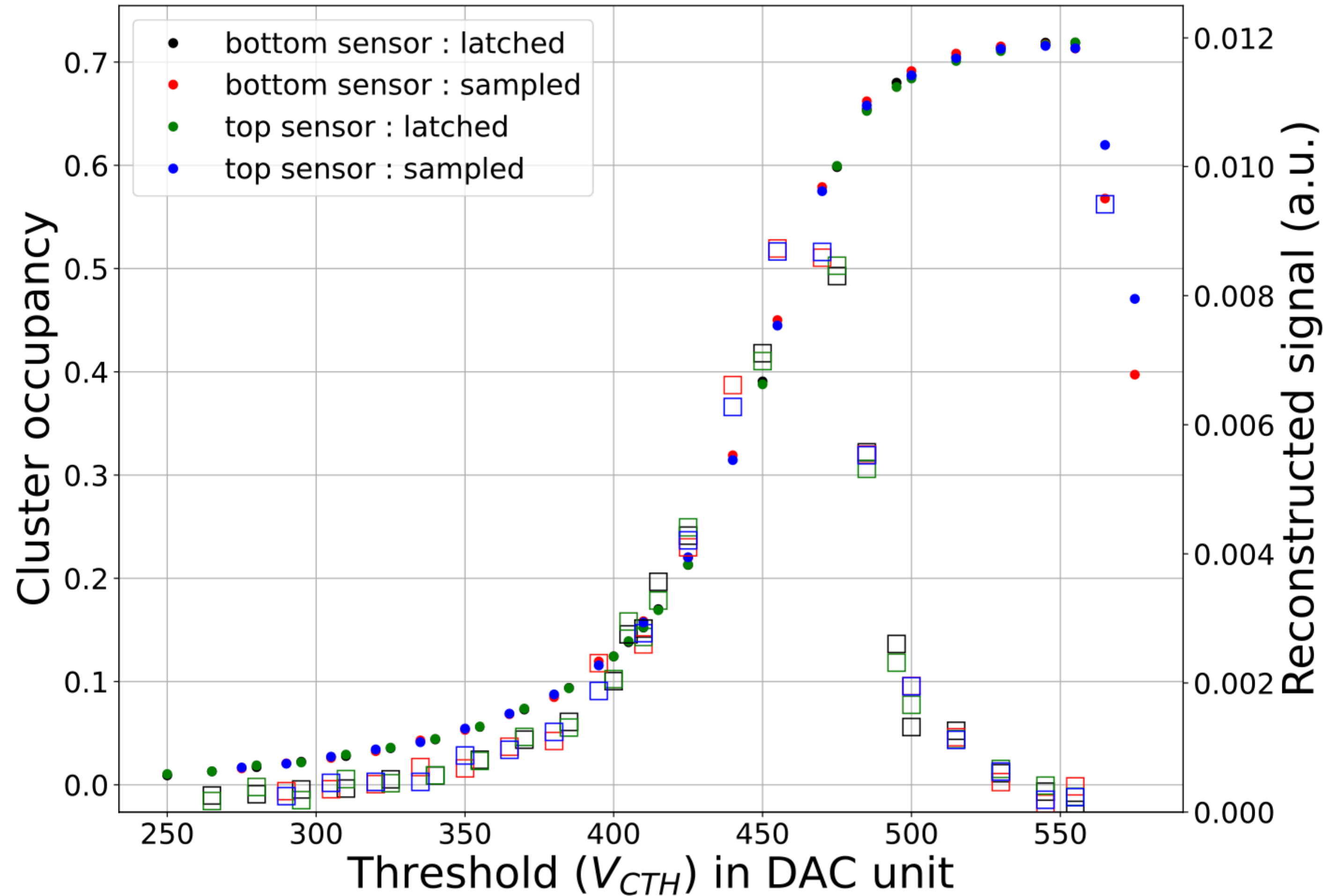


Threshold Scans

Hit detection logic:



Lower threshold increases the number of clusters



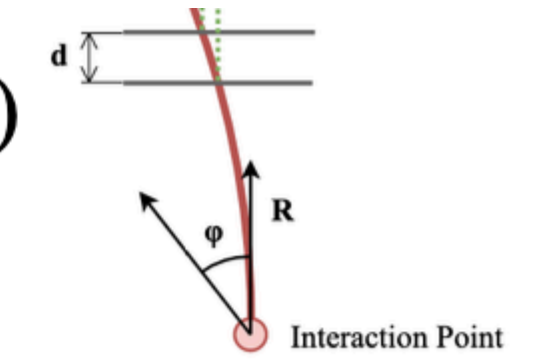
$$1 V_{CTH} = 156 e^-$$

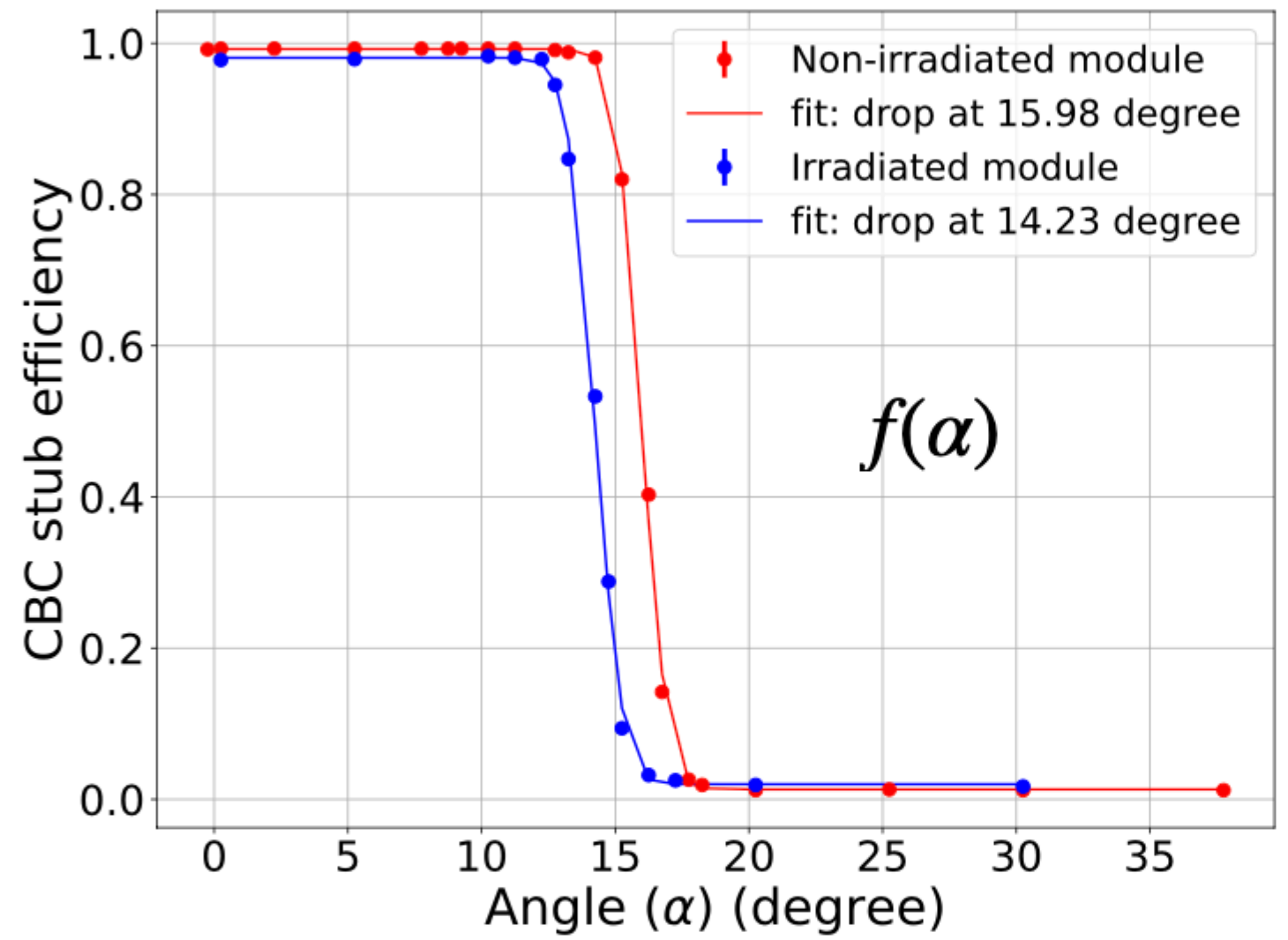
Differential distribution of number of clusters is the reconstructed shape of the signal

Discriminate signal from pedestal

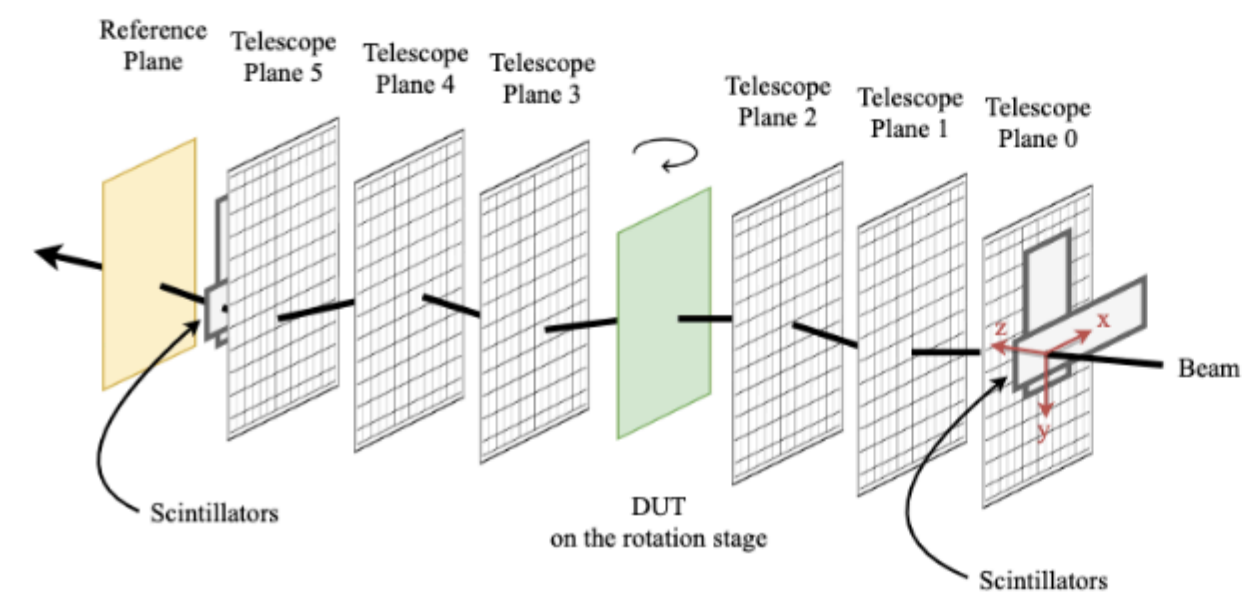
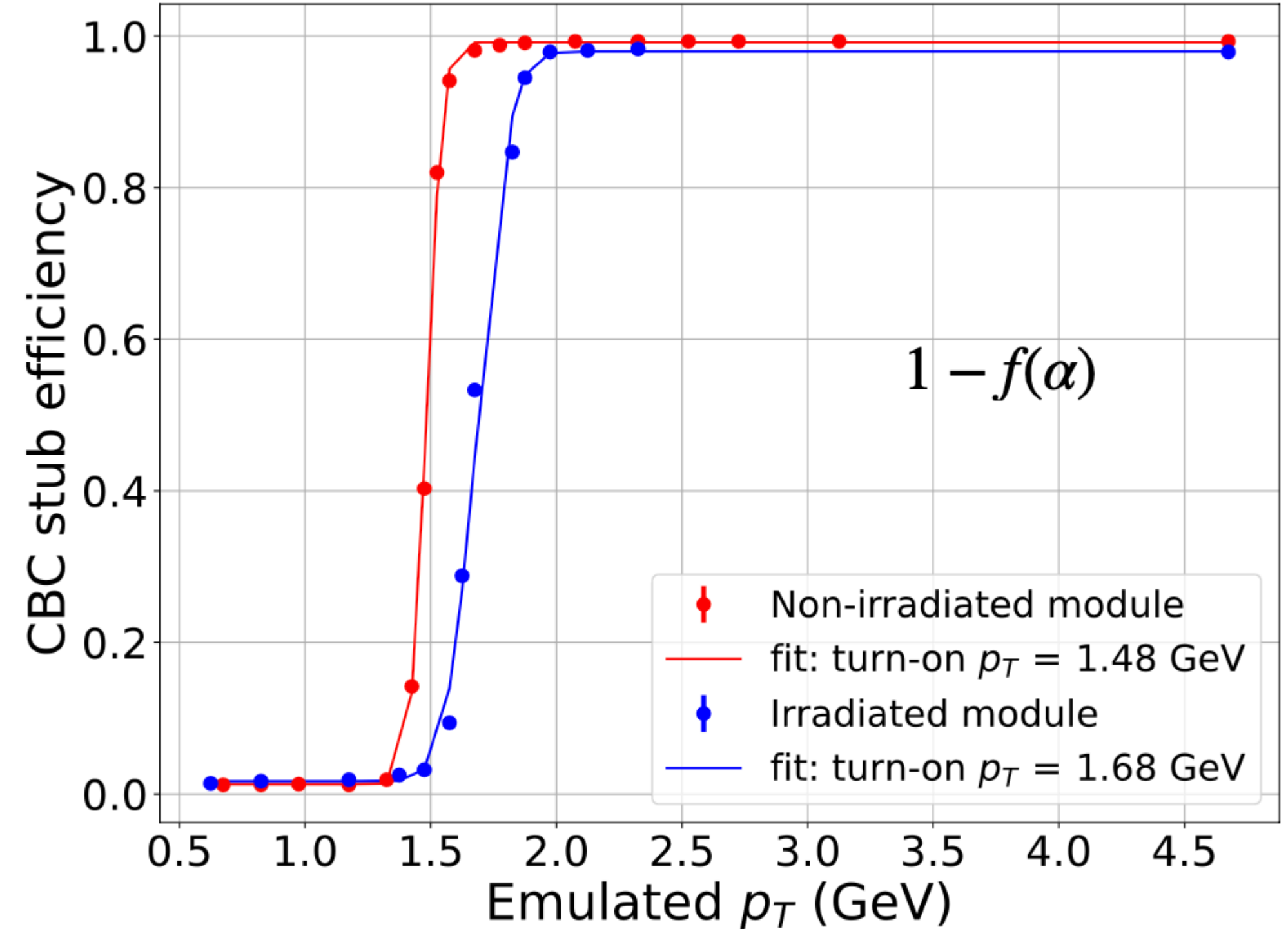
Angular Scans

Irradiated with 23 MeV protons
 up to a 1 MeV neutron equivalent fluence of $4.6 \times 10^{14} \text{ n}_{\text{eq}} \text{ cm}^{-2}$.
 120% of the max fluence a 2S module expects after 10 years of HL-LHC operation.

$$f(\alpha) = 1 - \frac{1}{2} \left(p_0 + p_1 \times \text{erf} \left(\frac{x - p_2}{p_3} \right) \right)$$




p_T can be emulated from incidence angle
 In 3.8T B, a 2S module is placed at the 4th layer of outer tracker barrel with a correlation window of ± 5 strips



On-module high p_T track finding logic seems perfect

$$p_T [\text{GeV}] = \frac{0.57 \times R [\text{m}]}{\sin(\theta)}, \quad R = 0.71 \text{ m in 3.8T B}$$

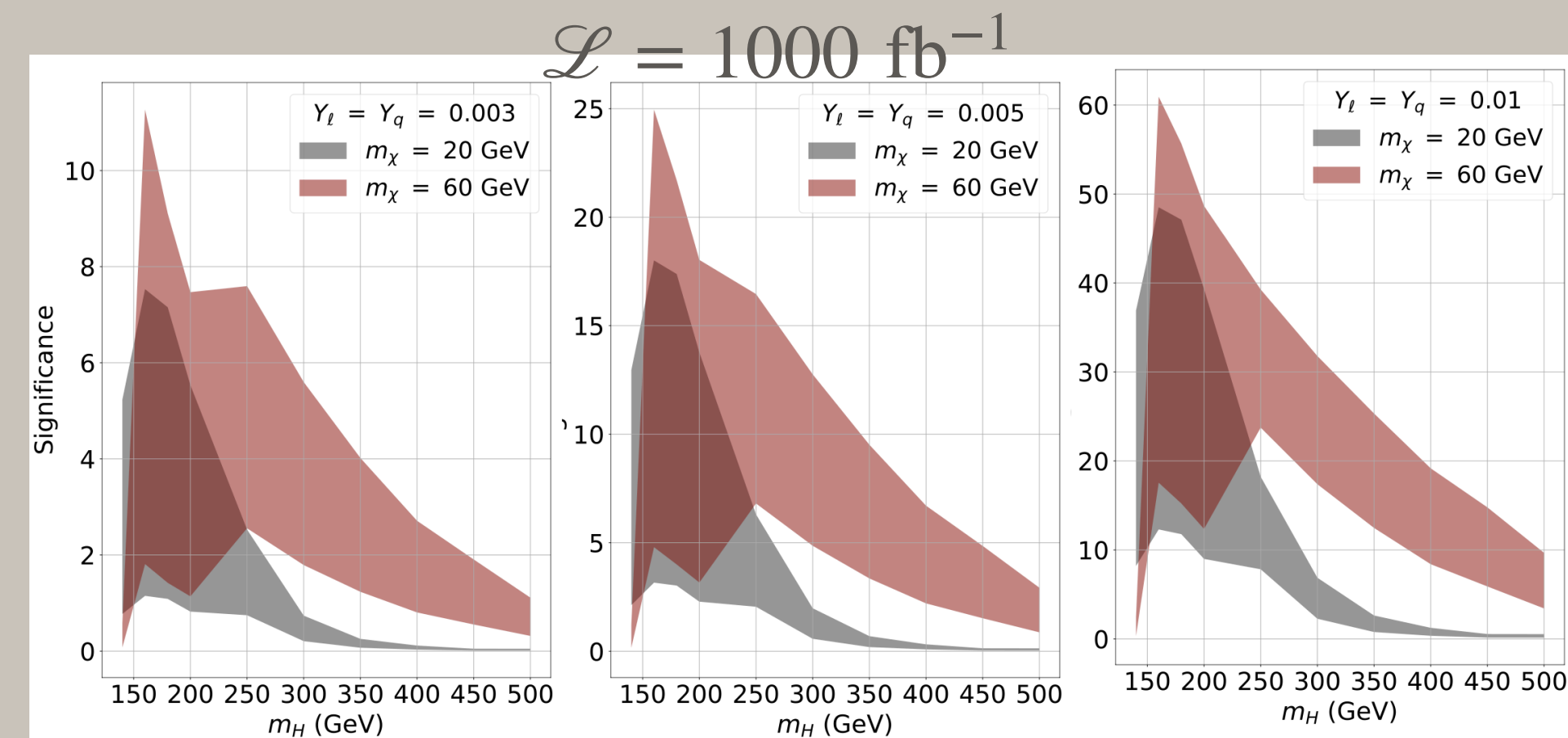
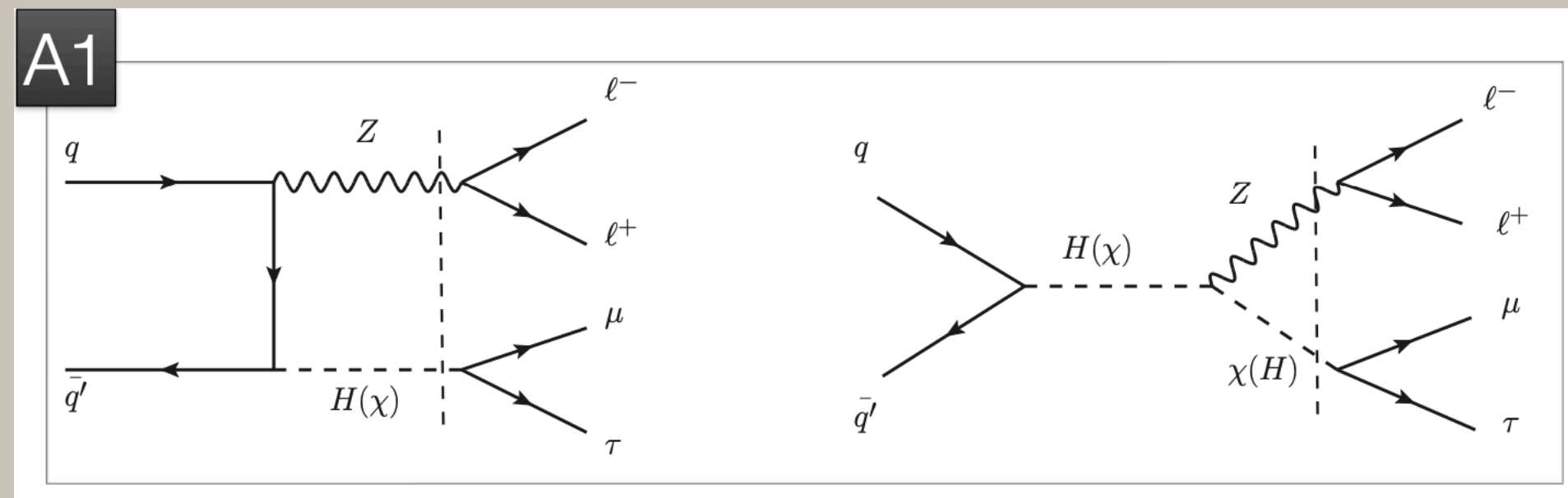
The background is a light grey gradient with a complex pattern of white lines and circles. The lines are mostly thin and radiate from a central point, creating a sense of depth and movement. There are several larger, semi-transparent white circles scattered across the scene, some overlapping the lines. The overall effect is abstract and modern.

Phenomenological Studies

Search for exotic Higgs boson at the LHC

Flavor models based on Discrete symmetry groups with extended scalar sectors known to yield CP -even and CP -odd spin-0 exotic states

S_3 symmetric 3 HDM: 3 CP even, 2 CP odd neutral and 2 sets of charged scalars with purely off-diagonal couplings (No $H(X)VV$ coupling): Particles of interest: CP even heavy scalar H , CP odd light pseudo scalar X ... Couplings of interest: H_{uc} , X_{mutau}



Major Bkgs: WZ +Jets, ZZ +Jets, $t\bar{t}Z$ +Jets

Phys.Rev.D 106 (2022) 5, 055032

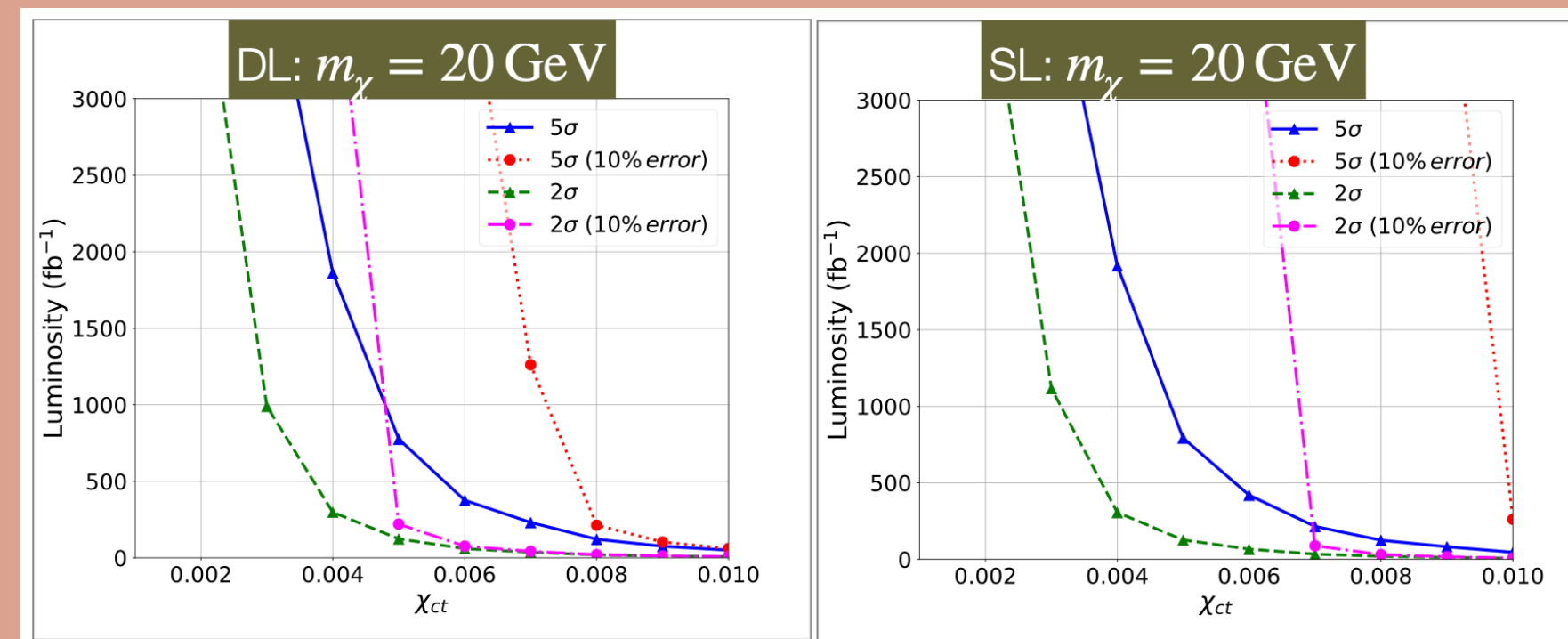
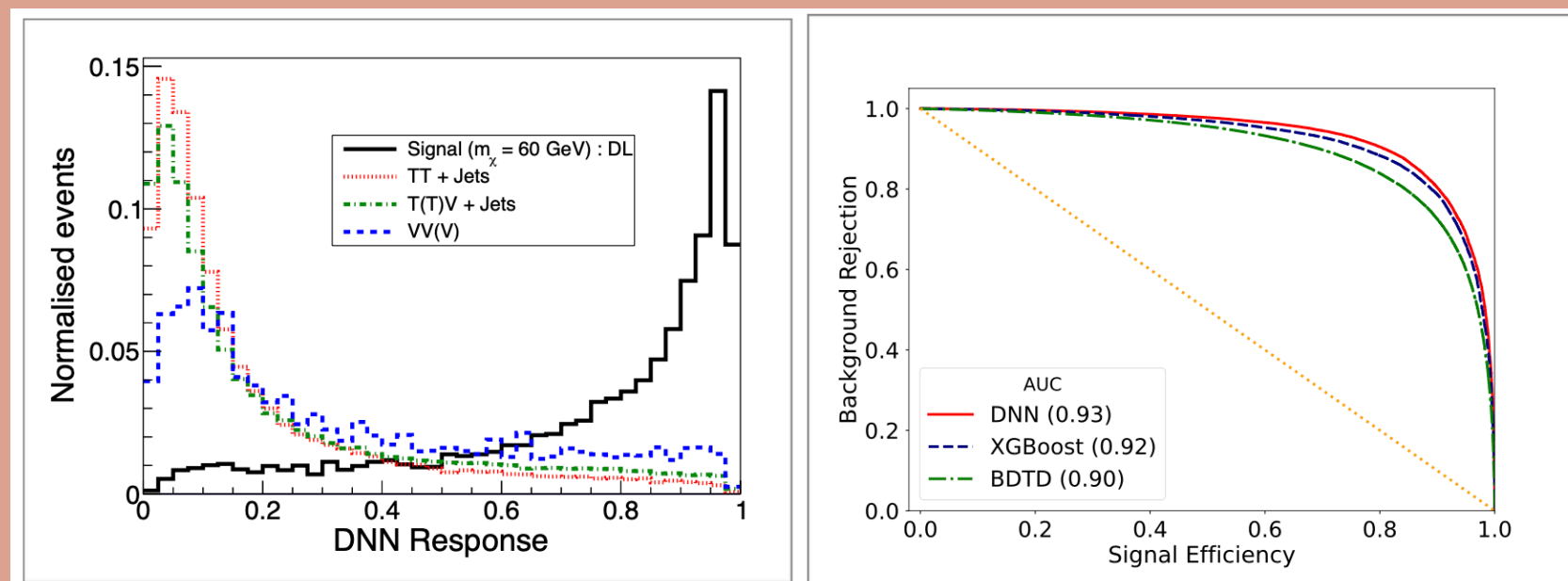
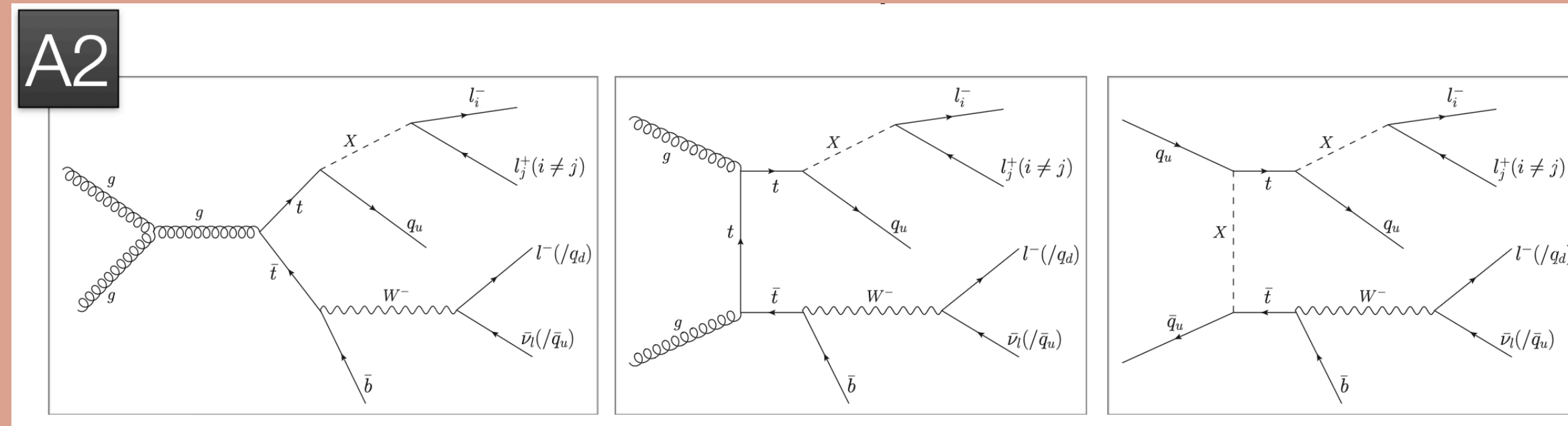
Search for exotic Higgs boson at the LHC

Flavor models based on Discrete symmetry groups with extended scalar sectors known to yield CP even and CP odd spin 0 exotic states

Search for exotic Higgs boson at the LHC

Looking for X_{ct} couplings: a different channel dominated by $t\bar{t}$ background process

2212.09061



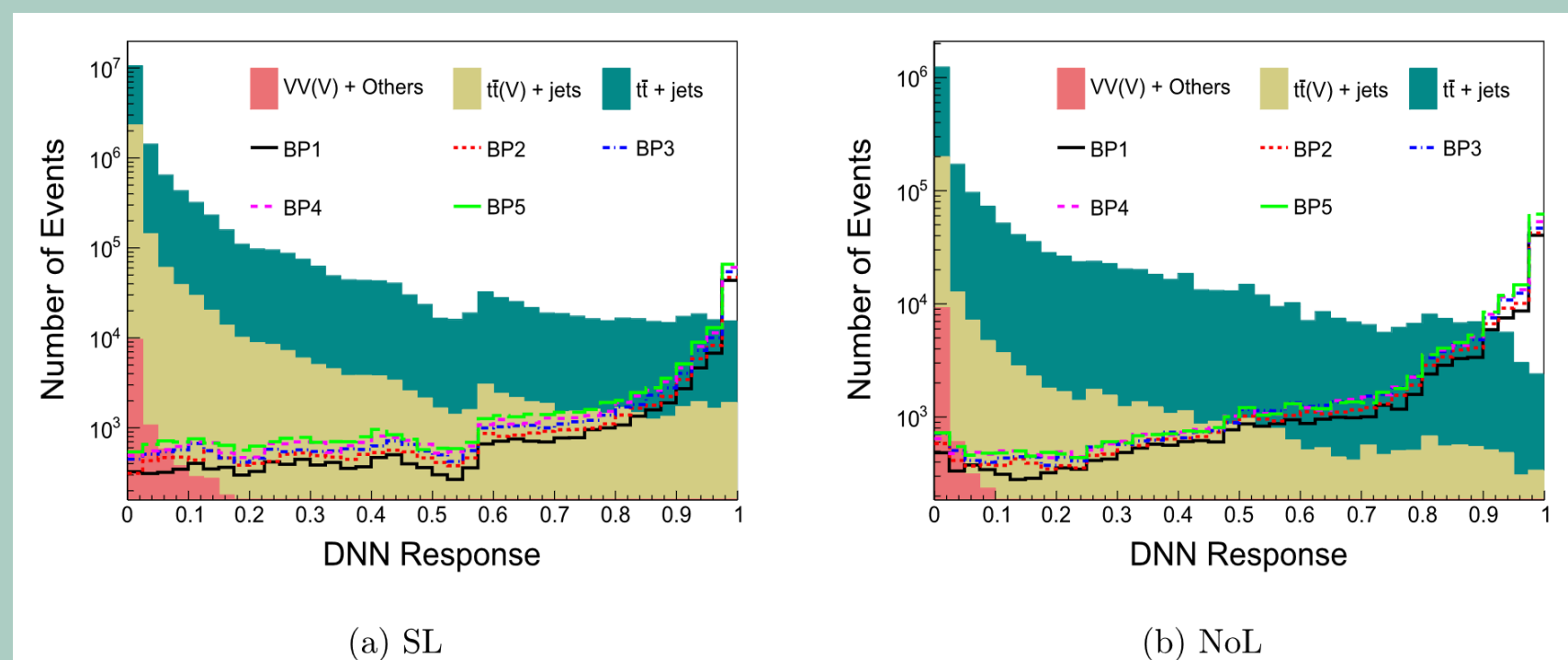
Search for exotic Higgs boson at the LHC

Flavor models based on Discrete symmetry groups with extended scalar
 Muon $g-2$ and W -mass in a framework of
 colored scalars

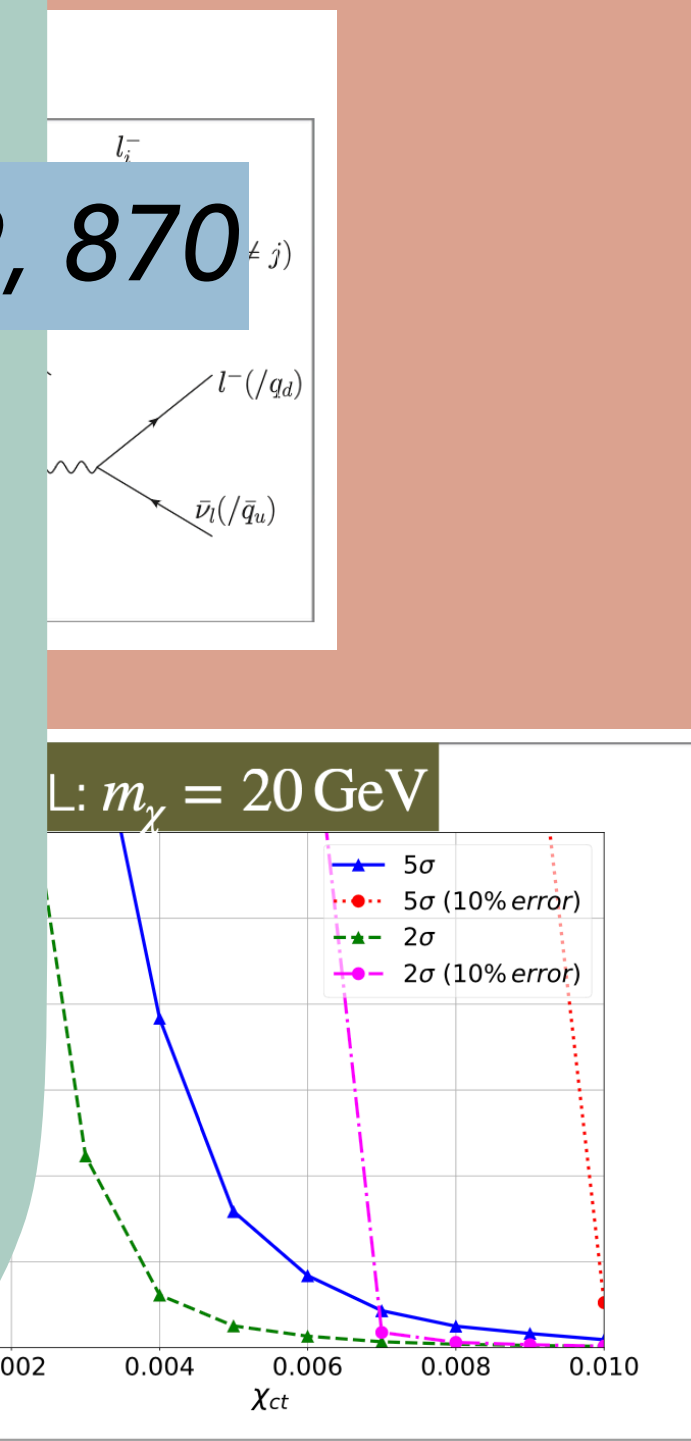
Type-X 2HDM is augmented with a color octet isodoublet:
 able to explain the observed value of W -mass by CDF and $g-2$
 anomalies with minimal flavor violation.

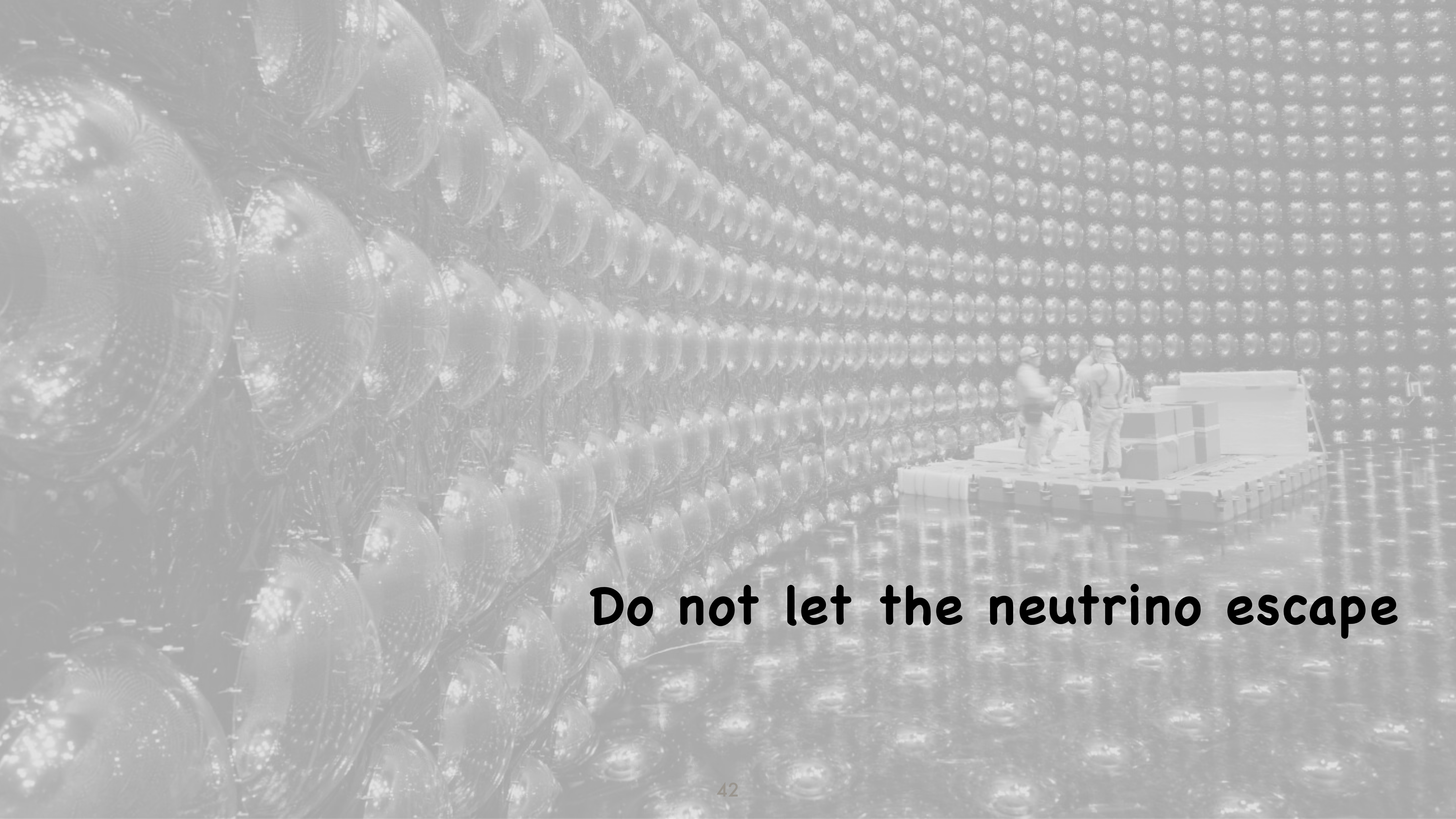
Eur.Phys.J.C 83 (2023) 9, 870

A collider signature in $b\bar{b}t\bar{a}u\tau$ final state has been studied



Significance	
$\theta = 0\%$	$\theta = 5\%$
20.1	4.50
34.8	9.56
19.9	4.47
35.2	9.65
17.9	2.47
30.9	8.58
12.1	1.70
22.3	6.37
4.27	0.61
9.19	2.76





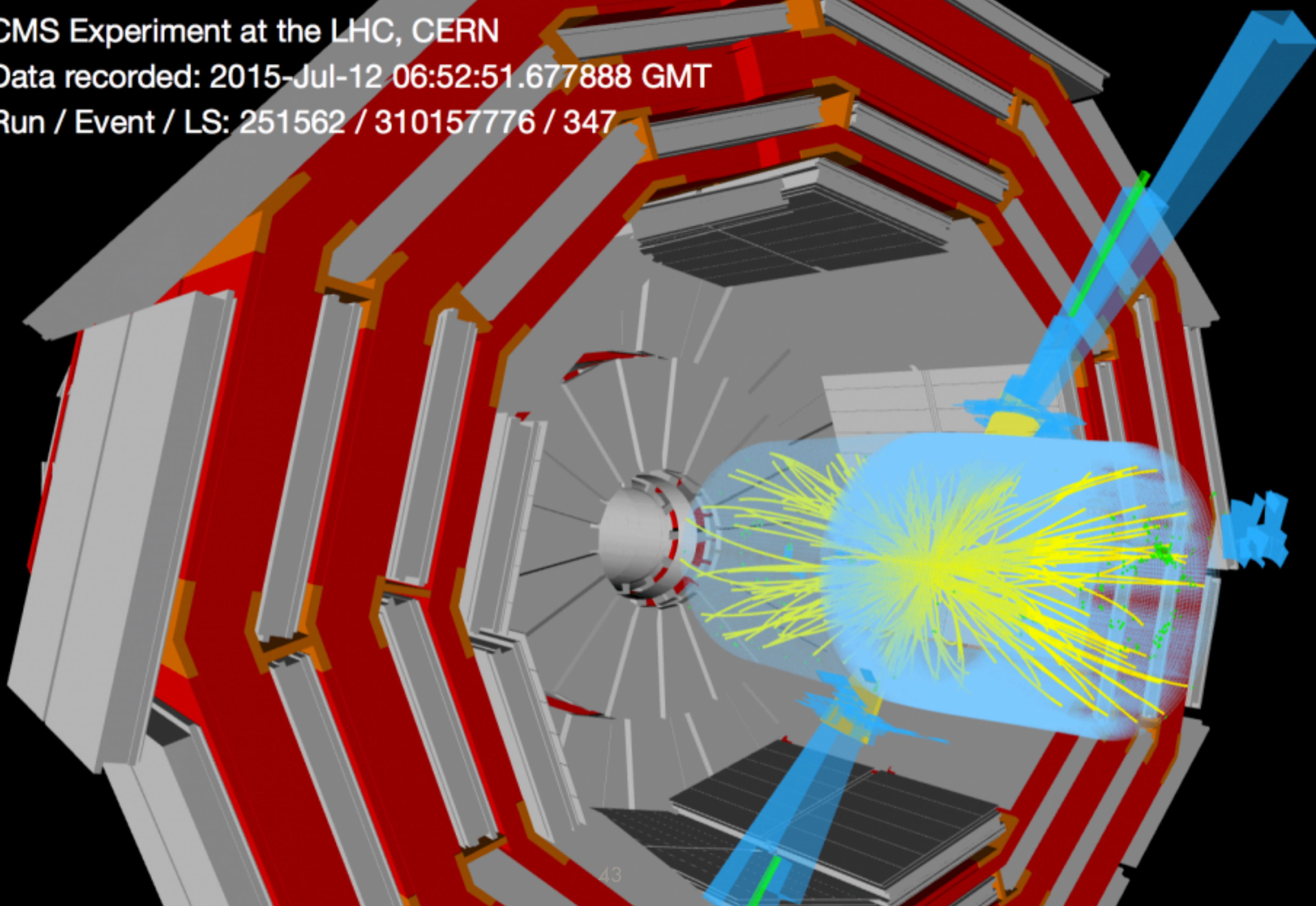
Do not let the neutrino escape



CMS Experiment at the LHC, CERN

Data recorded: 2015-Jul-12 06:52:51.677888 GMT

Run / Event / LS: 251562 / 310157776 / 347

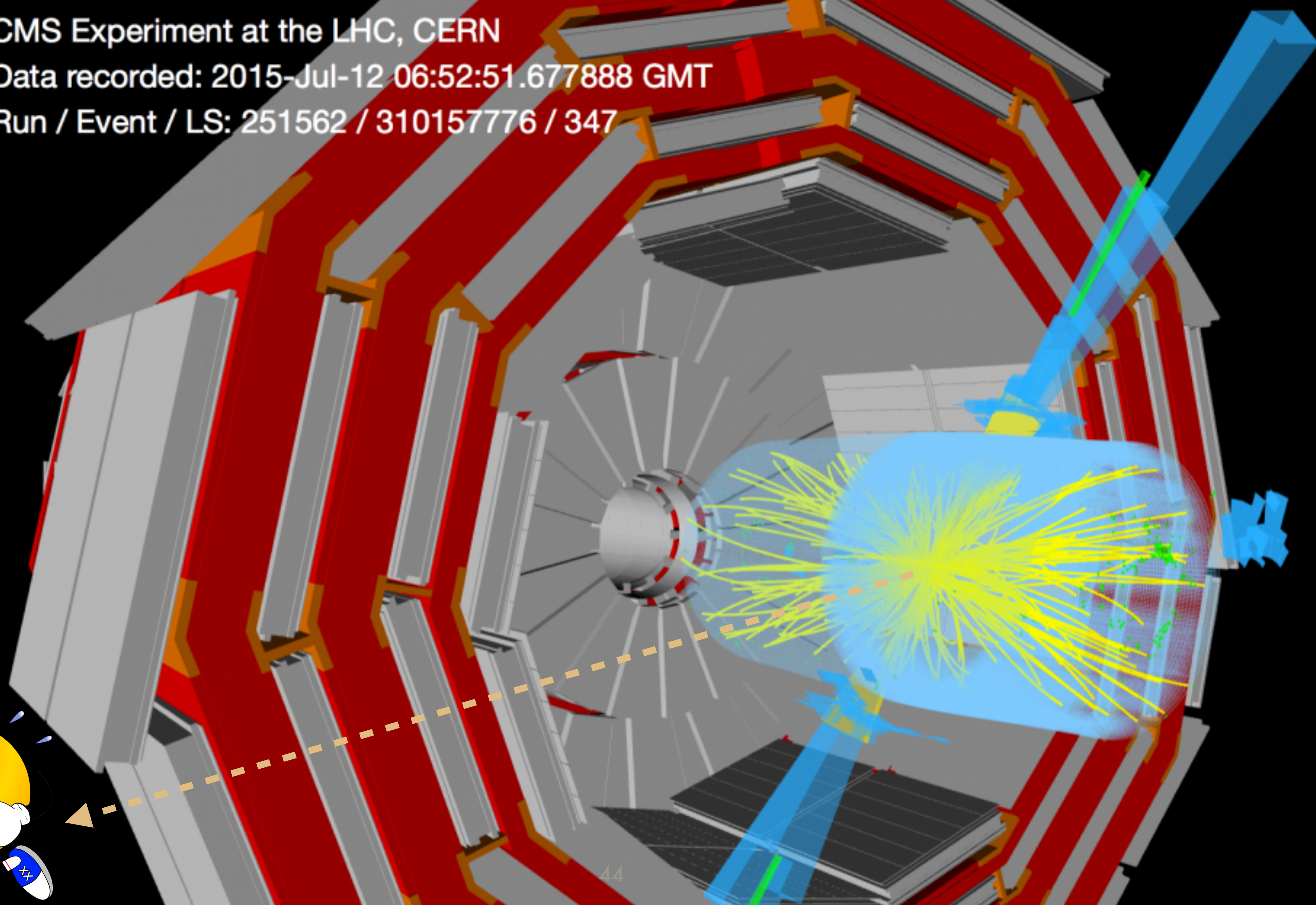




CMS Experiment at the LHC, CERN

Data recorded: 2015-Jul-12 06:52:51.677888 GMT

Run / Event / LS: 251562 / 310157776 / 347



Event Selection

- Dataset:
 - DYJetsToLL

- 2 tau candidates of opposite charge
- $12 < \text{Invariant mass of two taus} < 200$
- No extra electrons or muons

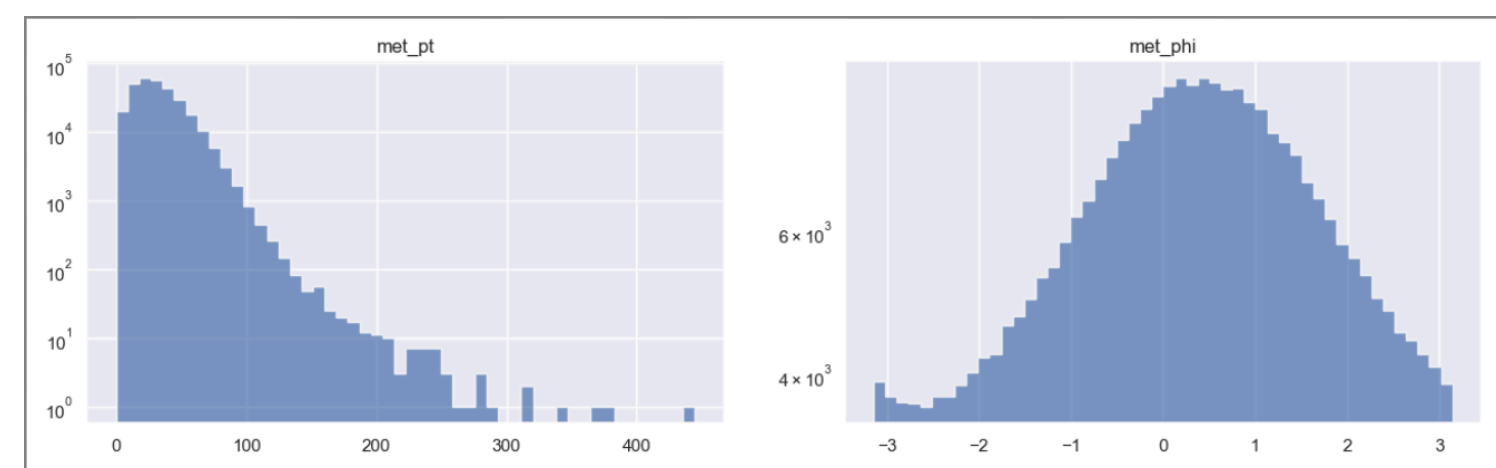
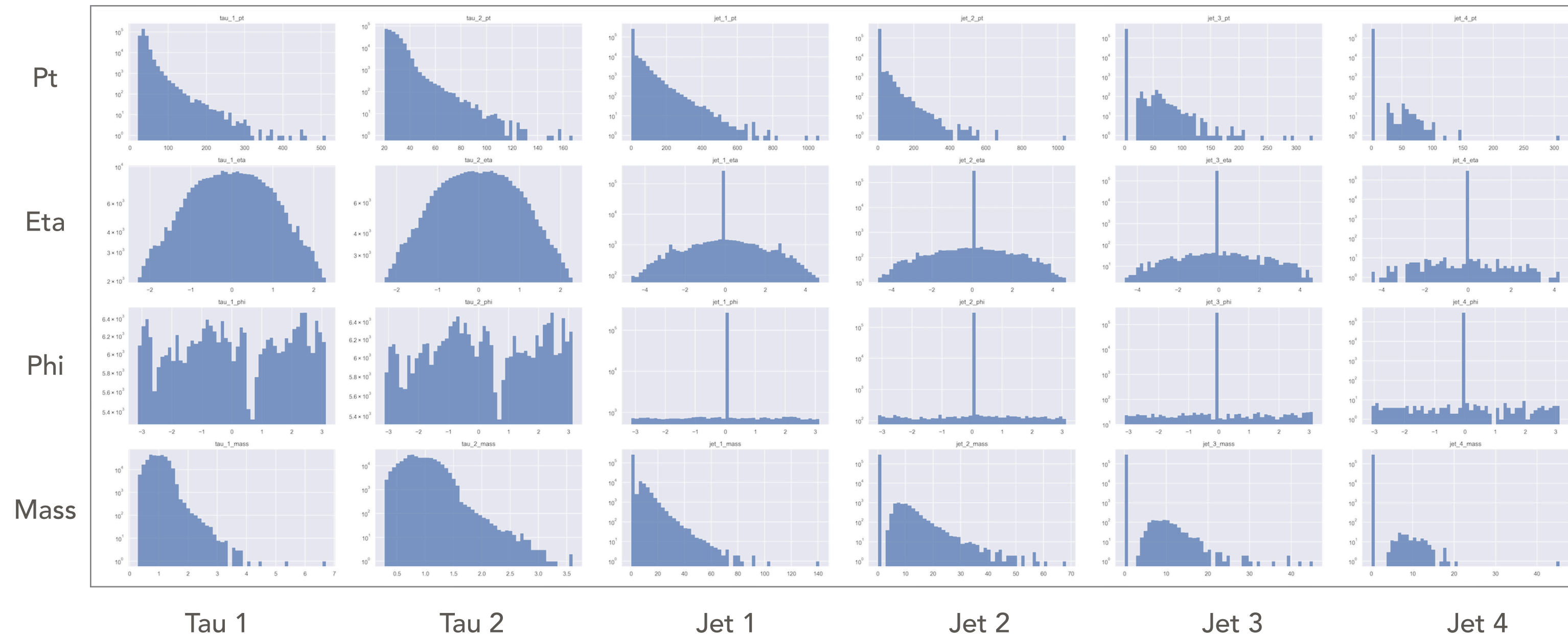
- Muon selection:
 - $P_t > 20 \text{ GeV}$
 - $|\eta| < 2.4$
 - $|\Delta xy| < 0.045$
 - $|\Delta z| < 0.2$
 - mediumId

- Electron selection:
 - $P_t > 25 \text{ GeV}$
 - $|\eta| < 2.5$
 - $|\Delta xy| < 0.045$
 - $|\Delta z| < 0.2$
 - mvaFall17V2Iso_WP80
 - Electron.DeltaR(Muon) > 0.2

- Tau selection:
 - $P_t > 20 \text{ GeV}$
 - $|\eta| < 2.3$
 - $|\Delta z| < 0.2$
 - idDecayModeNewDMs
 - DM: 0, 1, 2, 10, 11
 - idDeepTau2017v2p1VSjet ≥ 4 , idDeepTau2017v2p1VSe ≥ 2 , idDeepTau2017v2p1VSmu ≥ 1
 - Tau.DeltaR(Muon/Electron) > 0.2

- Jet selection:
 - $P_t > 25 \text{ GeV}$
 - $|\eta| < 4.7$
 - jetId == 6
 - puId == 4 if $p_t > 50 \text{ GeV}$
 - Jet.DeltaR(ele/mu/tau) > 0.2

- Gen tau_nu selection:
 - $|\text{PdgId}| == 16$
 - Flags: isTauDecayProduct | isPromptTauDecayProduct | isDirectTauDecayProduct | isDirectPromptTauDecayProduct
 - $|\text{PdgId}|$ of mother == 15
 - Gen.DeltaR(tau) < 0.4
 - $P_t > 0.1 \text{ GeV}$



Networks used

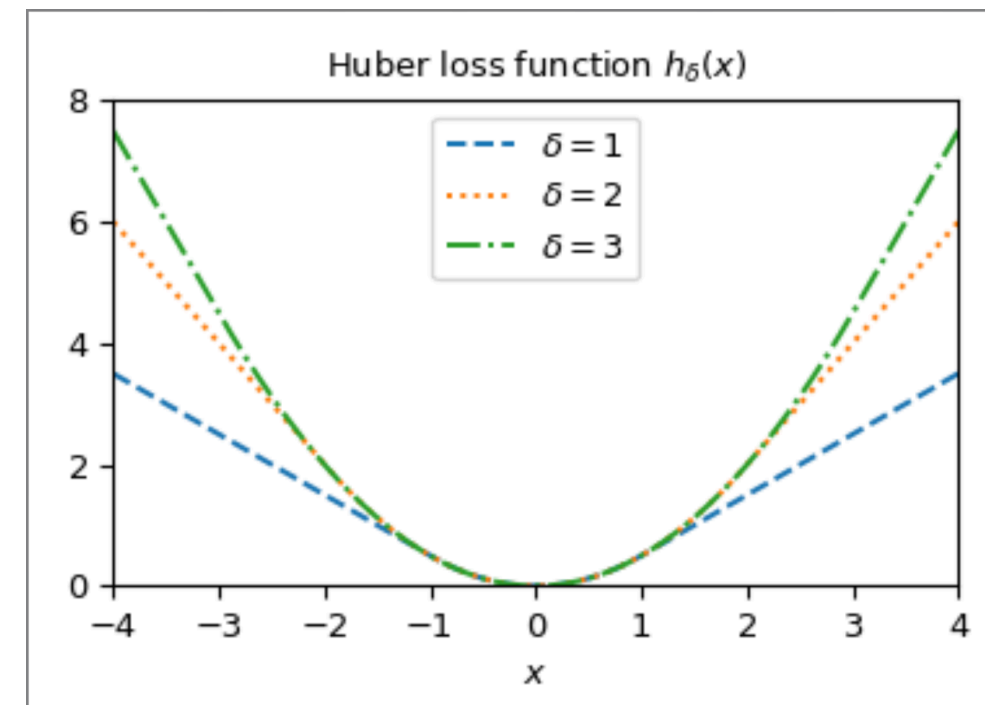
- ResNet: Deep Neural Network with skip connections
 - Initial layer: 512 hidden nodes [4 ResNet blocks with three layers]
 - Activation: selu
 - Batch Normalization
 - Dropout: 10%
 - L2 Regularizer: 0.0001
- LBN: Lorentz Boost Network + ResNet
 - LBN with 2 hadronic taus, 4 leading jets, MET
 - LBN outputs: 5 particles with ["E", "px", "py", "pz", "pt", "eta", "phi", "p", "m", "pair_cos"]
 - Extra features concatenated with LBN output
 - Then the skip connections are the same as mentioned in ResNet

Loss

- Two types of loss functions are used

- Huber: $\delta = 1$

$$L_{\delta}(a) = \begin{cases} \frac{1}{2}a^2 & \text{for } |a| \leq \delta, \\ \delta \cdot (|a| - \frac{1}{2}\delta), & \text{otherwise.} \end{cases}$$



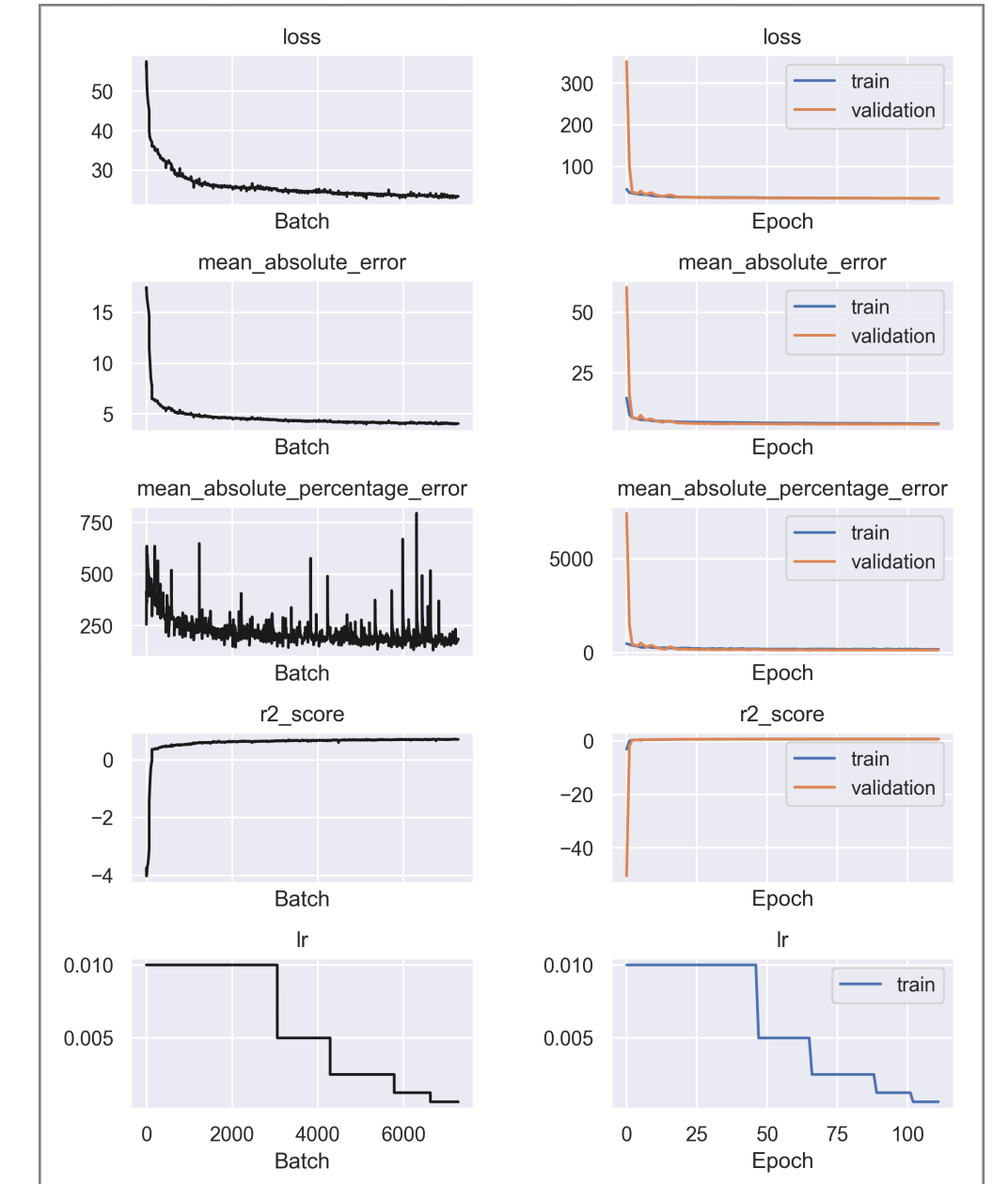
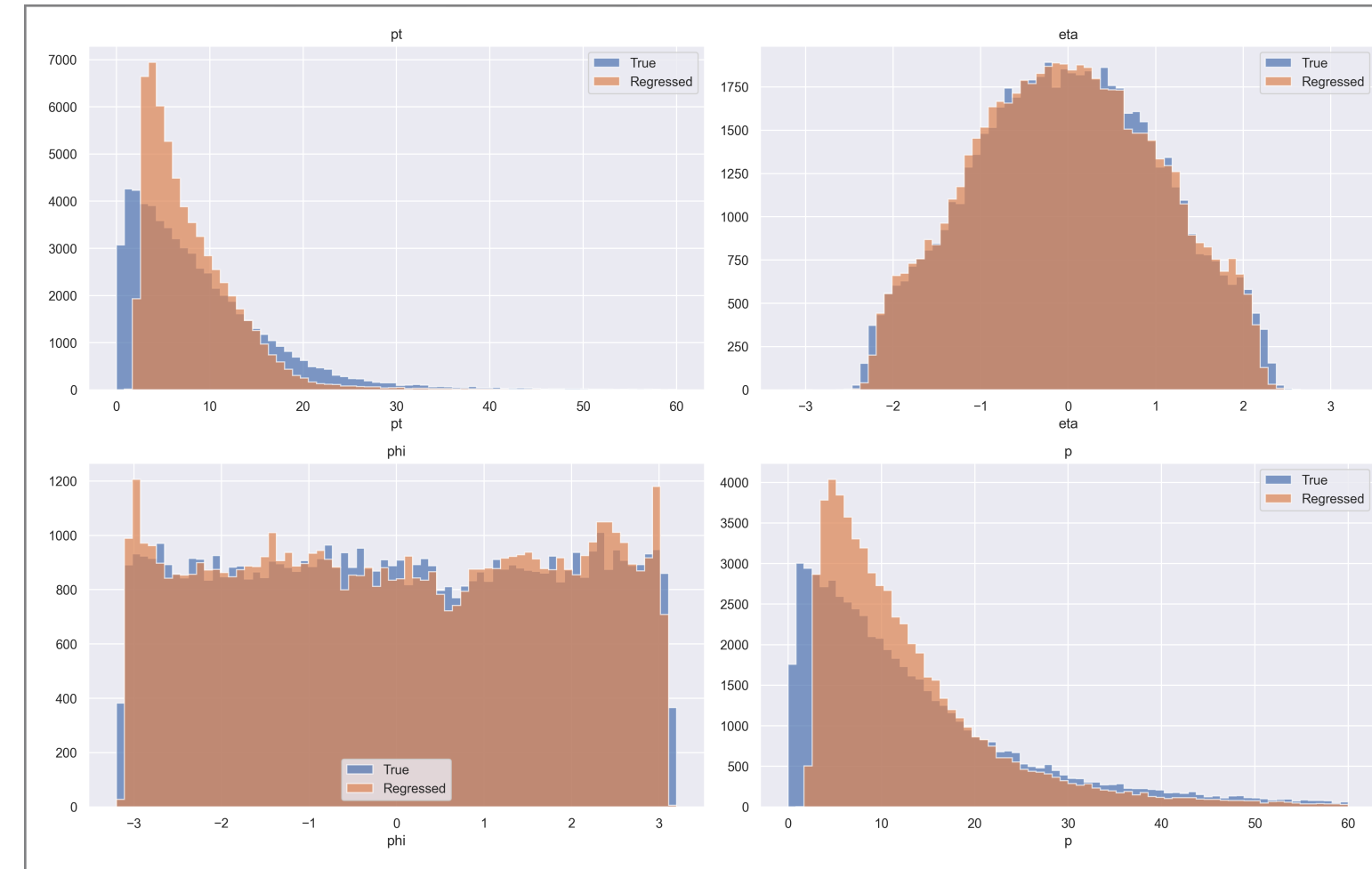
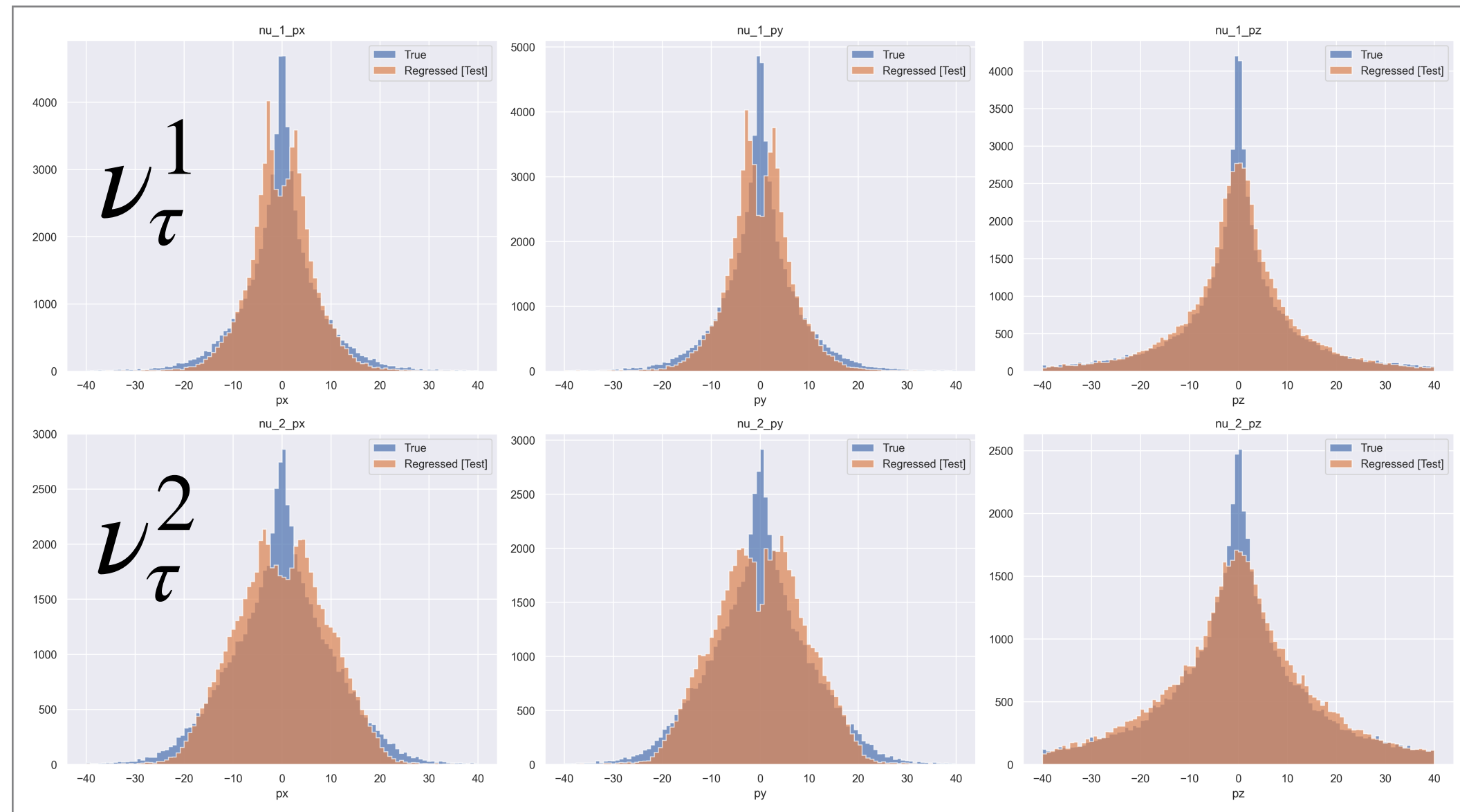
- Custom MAE loss:

- Mean of $\sum \alpha |y_{pred} - y_{true}| + \beta \left| \frac{m_{pred}^{\tau\tau}}{m_{true}^{\tau\tau}} - 1 \right|$ $\alpha = 1, \beta = 1$

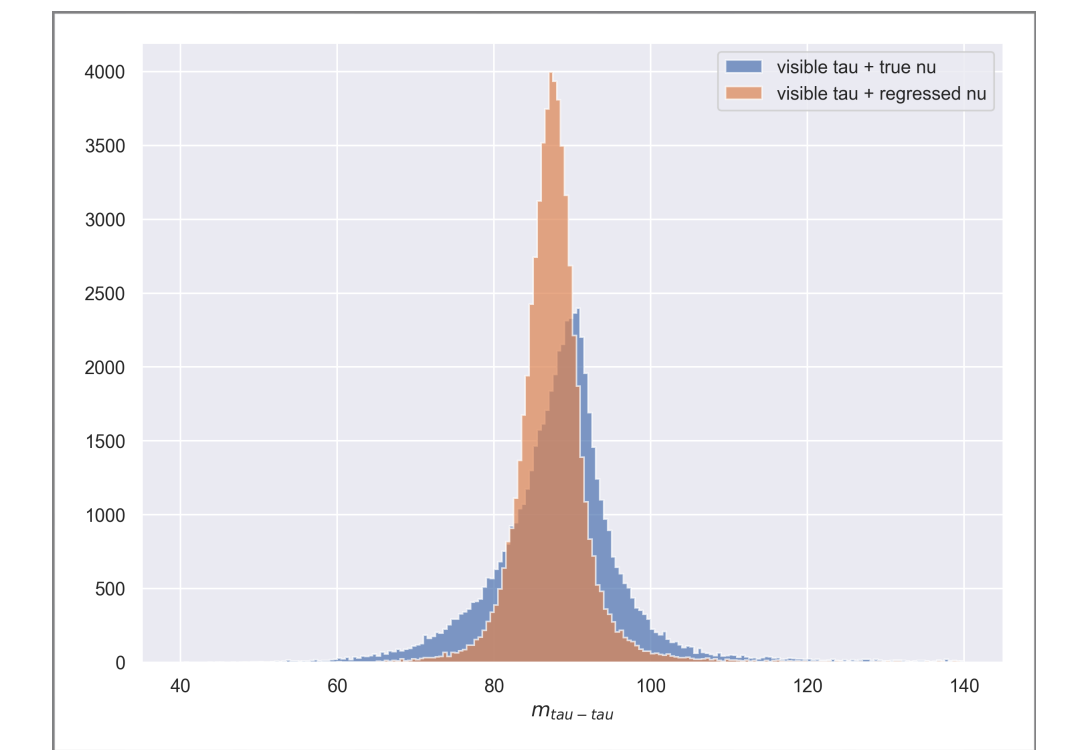
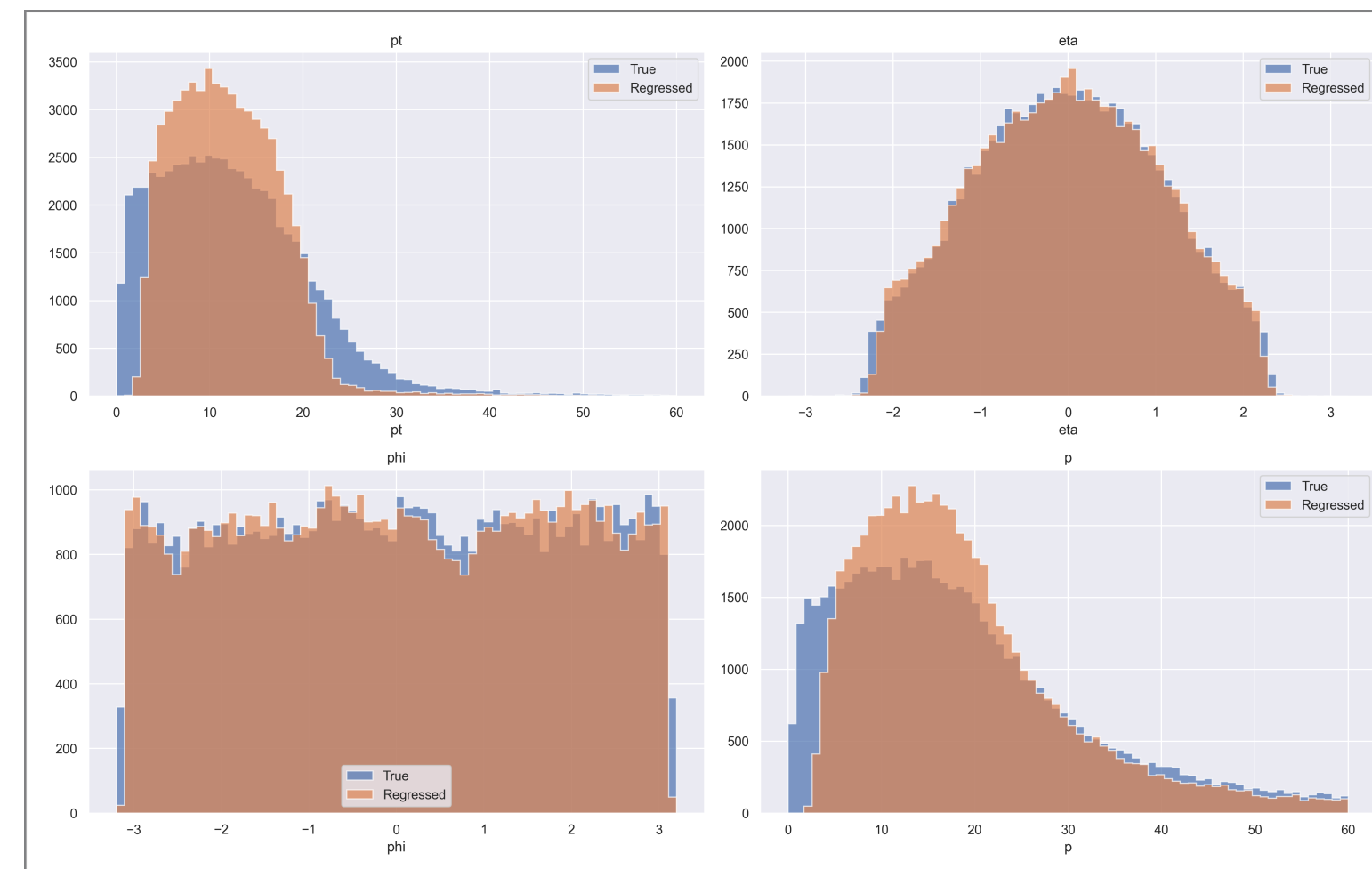
- y_{pred} and y_{true} include the px, py, pz only.
- Adding this extra mass constraint in the loss

ResNet with Custom Loss

ν_{τ}^1



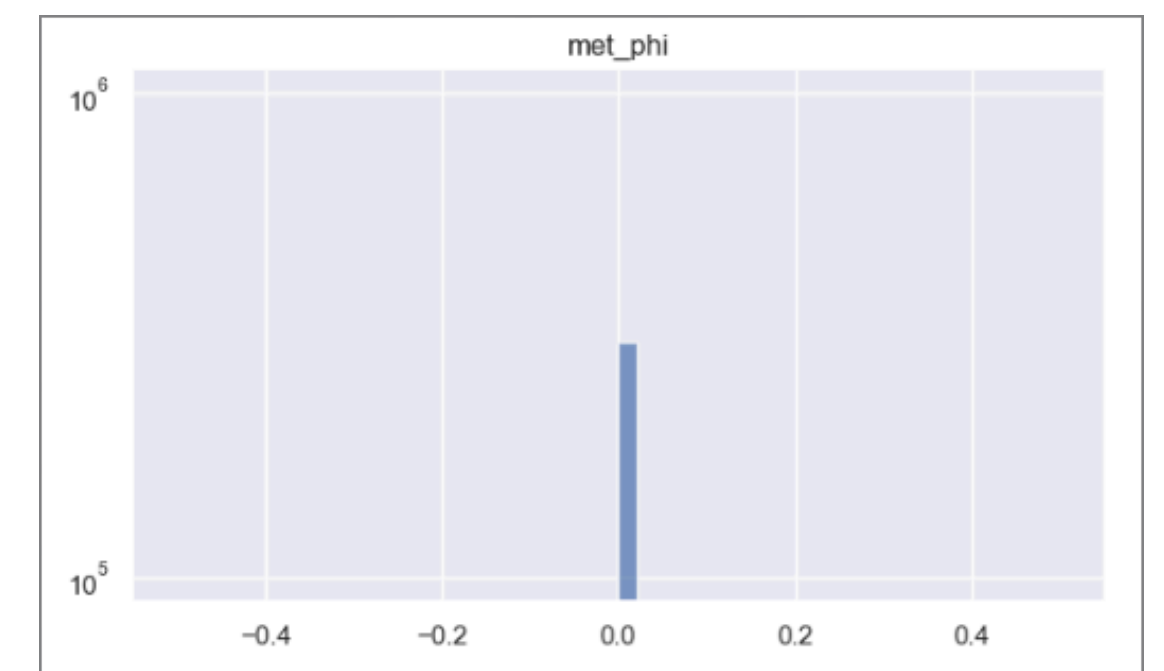
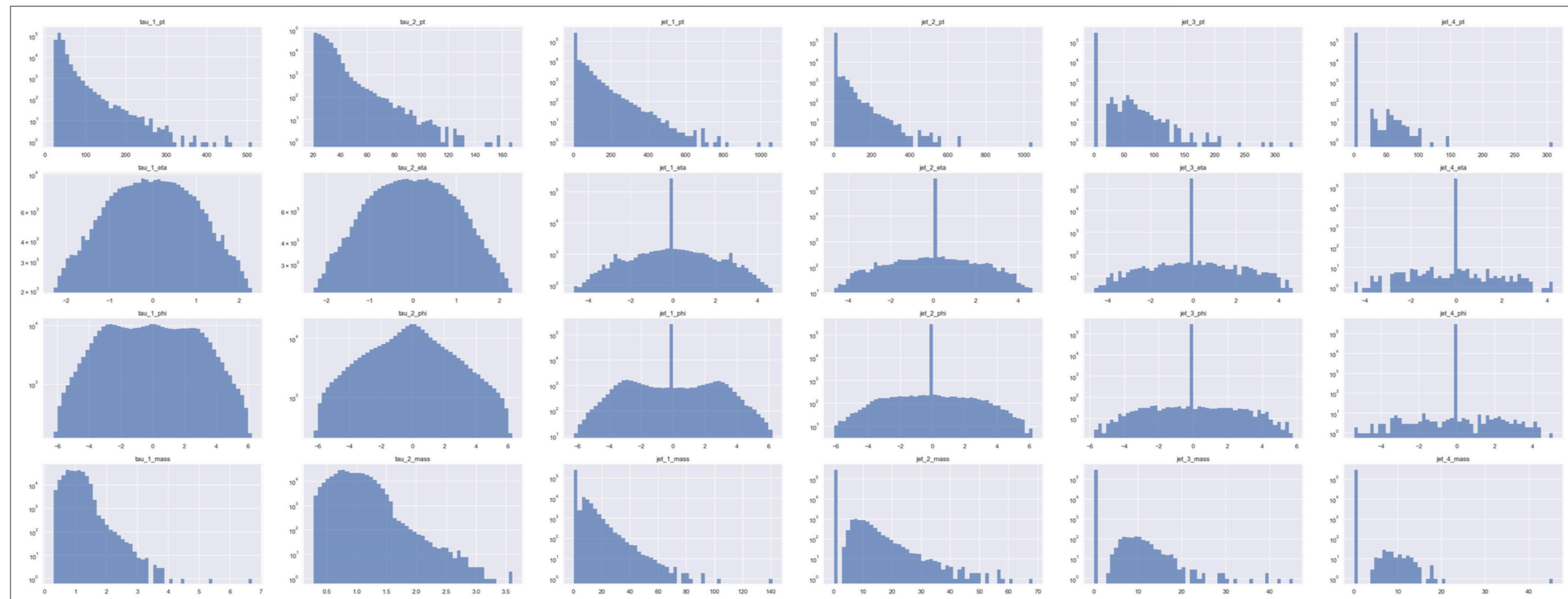
ν_{τ}^2



$m_{\tau\tau}$ Full

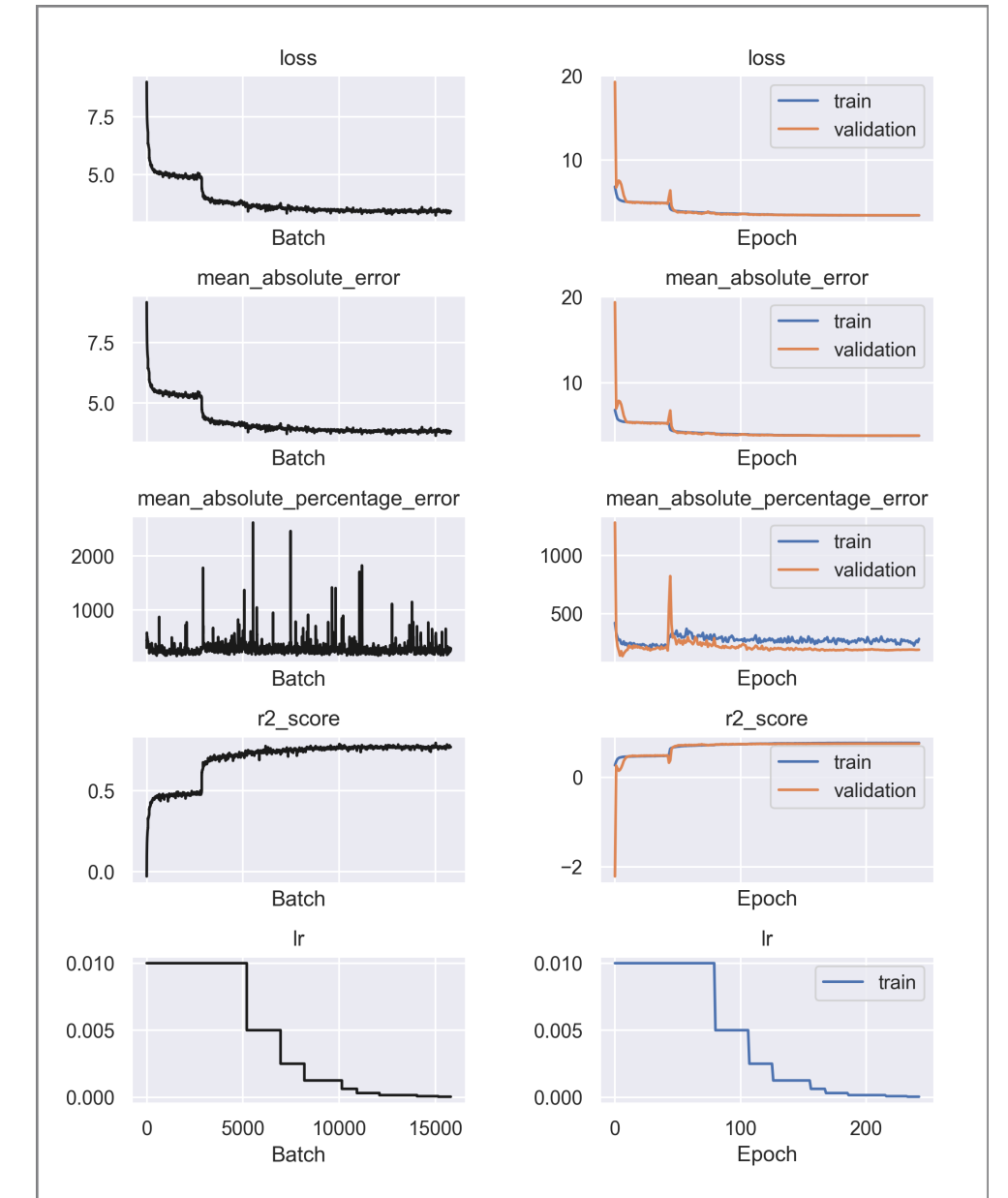
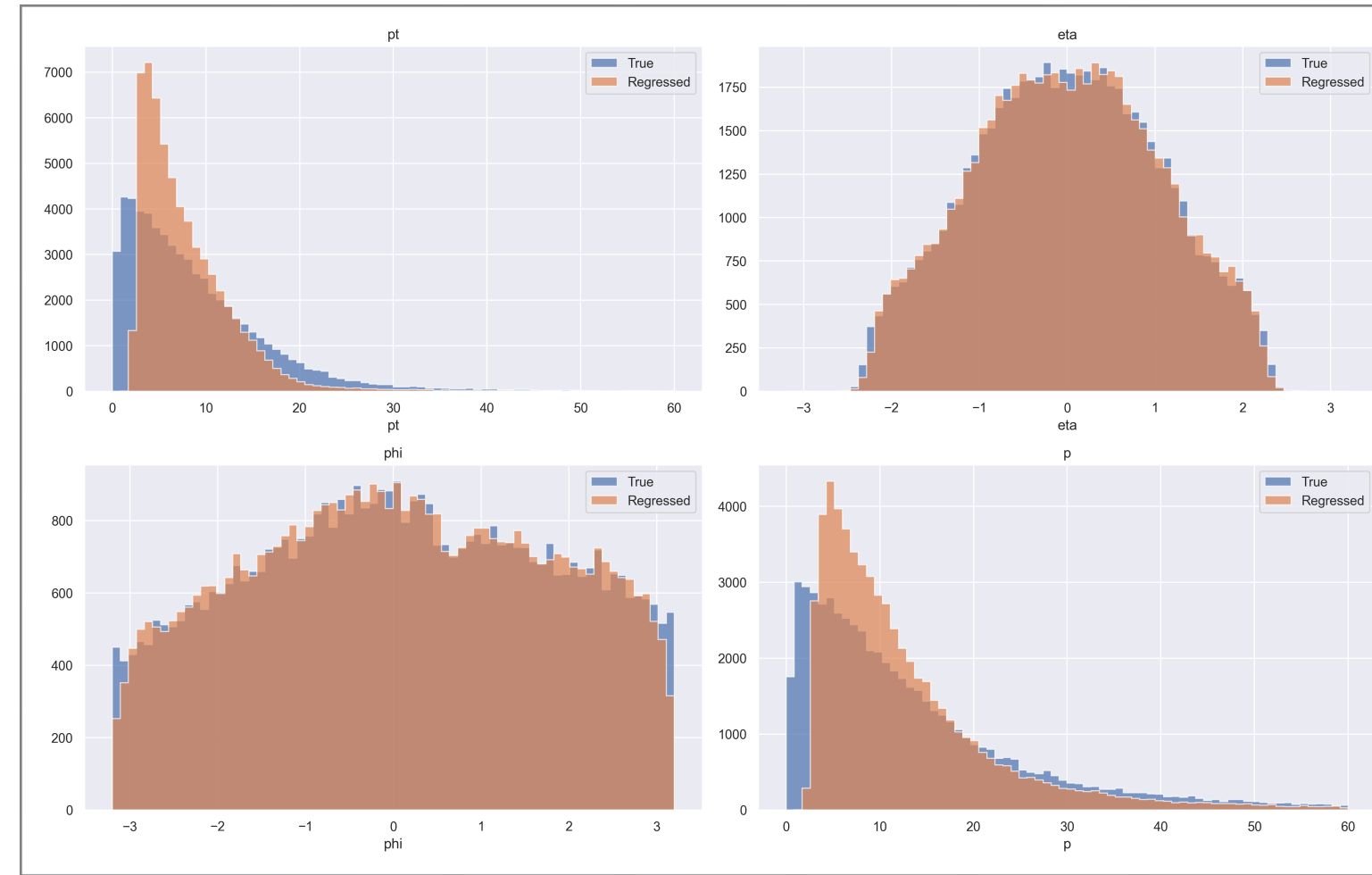
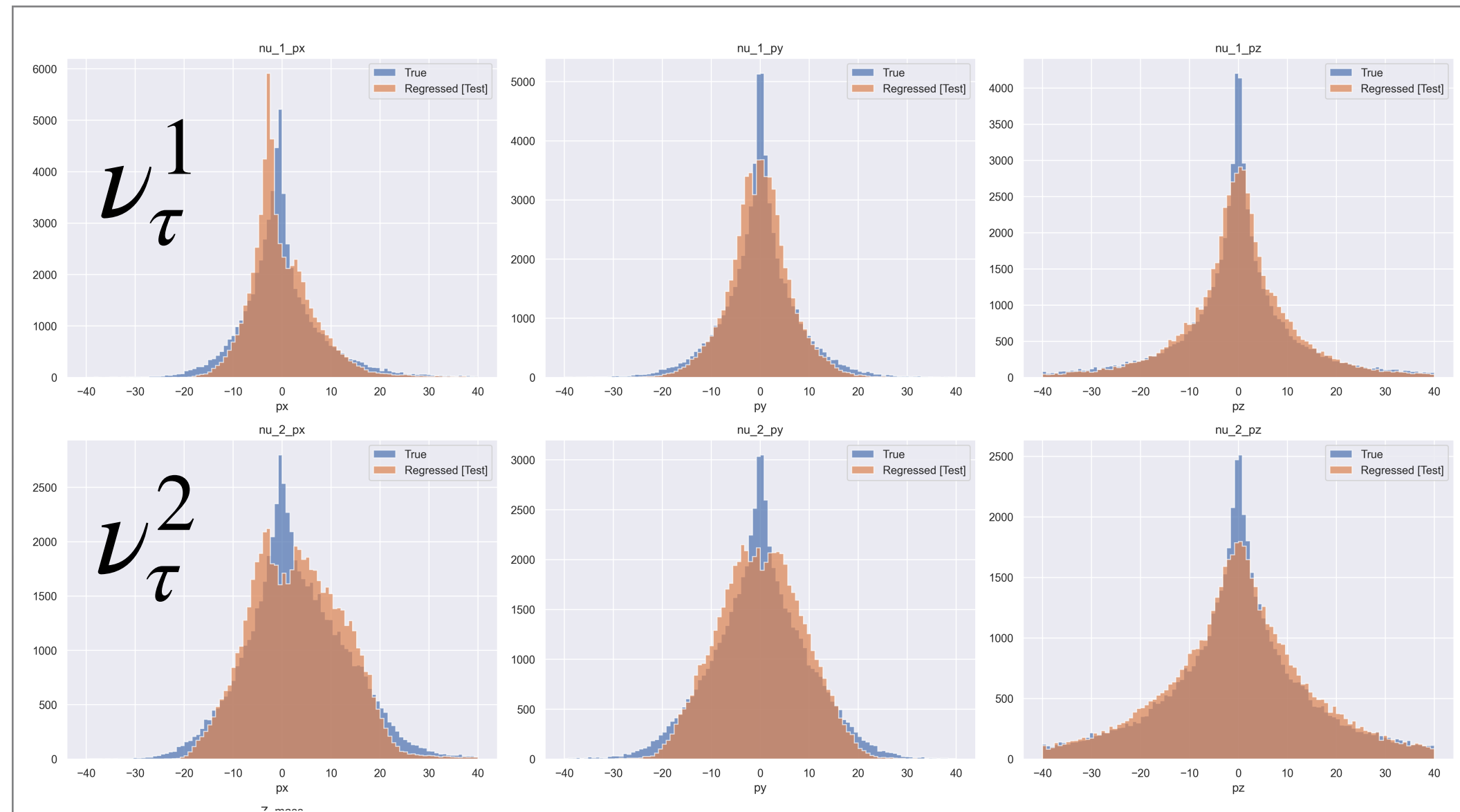
Using scaled input features

- MET is considered as the reference object
- All the objects are rotated to the direction of MET
 - $\text{Phi}(\text{object}) - \text{Phi}(\text{MET})$
- To help the networks not to focus on the variation of Phi while predicting the shape of p_x , p_y and p_z

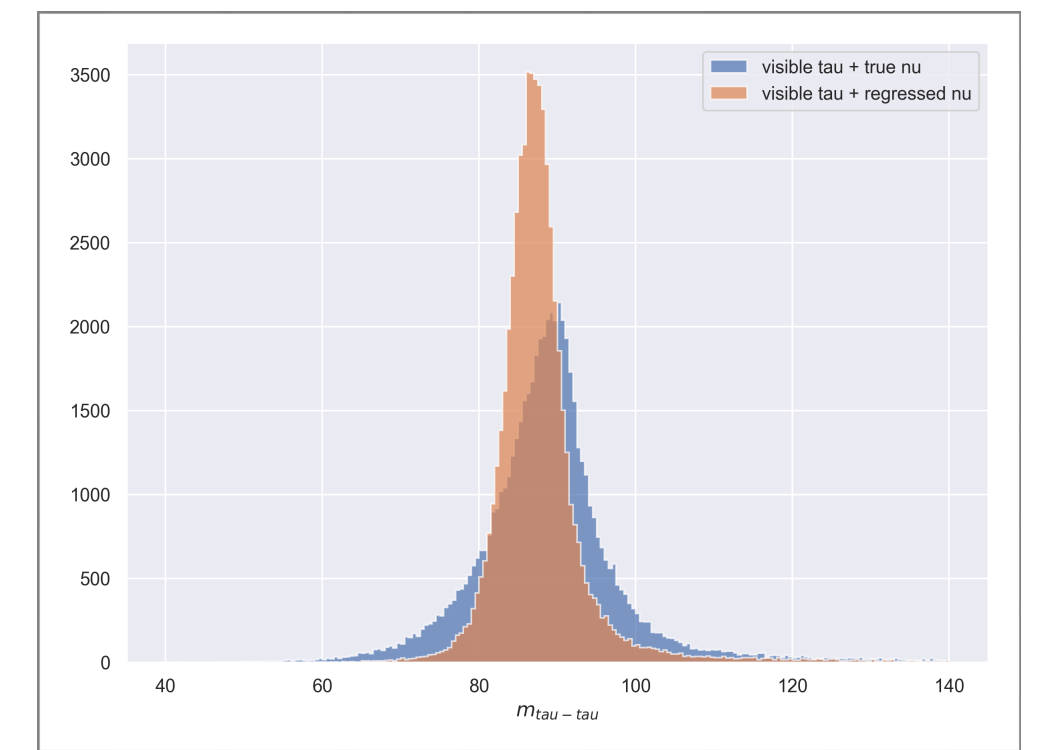
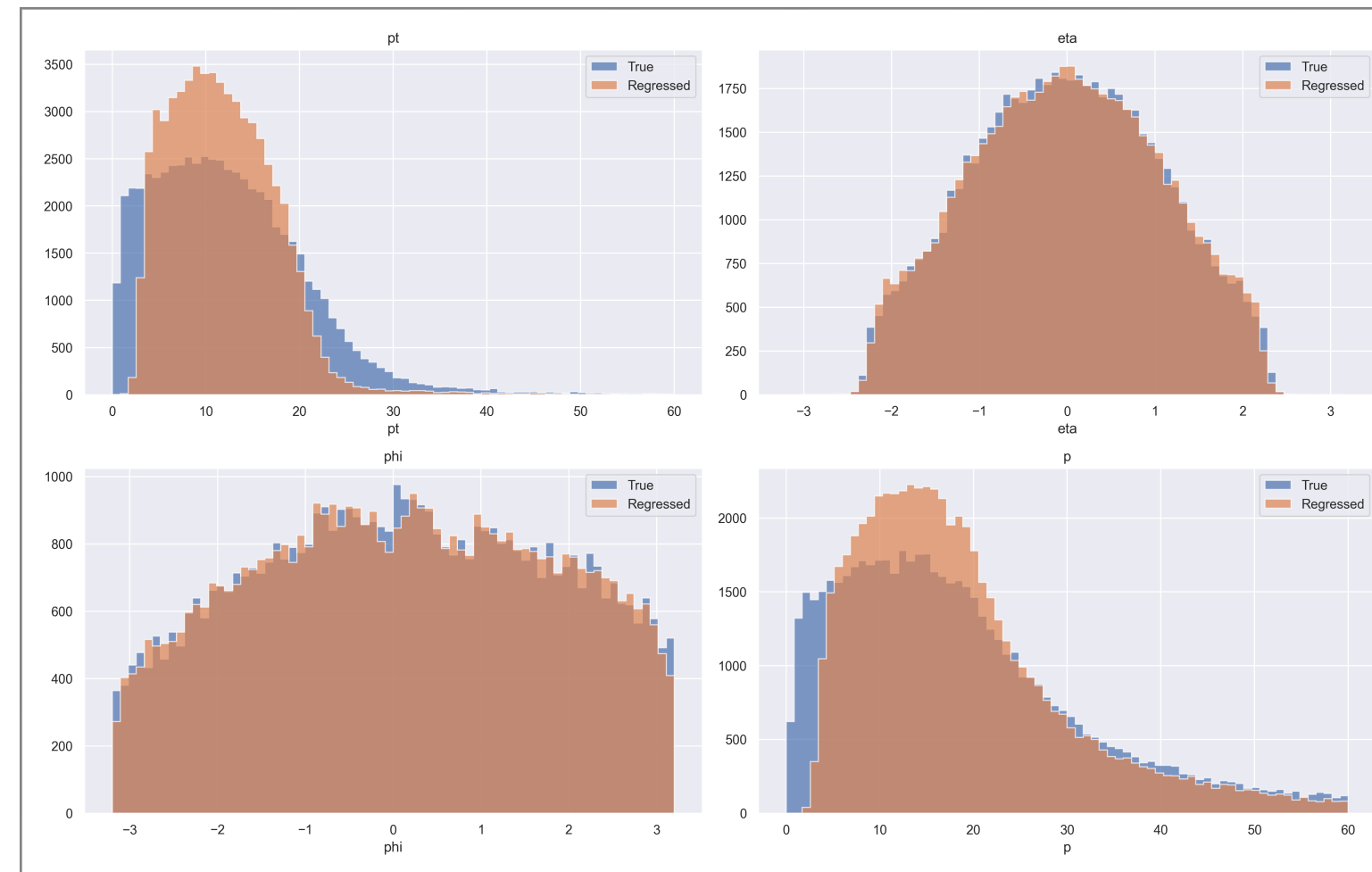


ResNet with Custom Loss

$$\nu_{\tau}^1$$



$$\nu_{\tau}^2$$



$$m_{\tau\tau} \text{ Full}$$

Summary

Search for Non-Resonant HH production with full-run2 data

- HH \rightarrow bbWW channel
- Challenging for high background yield: Machine learning based classifier is used for better sensitivity
- Currently 5x better results than 2016 & will be added in HH combination

Performance of 2S module for Phase-2 CMS outer tracker

New tracking detector will be installed at the HL-LHC

Outer tracker will have 2S modules

The performance of those modules are tested in beam test experiment

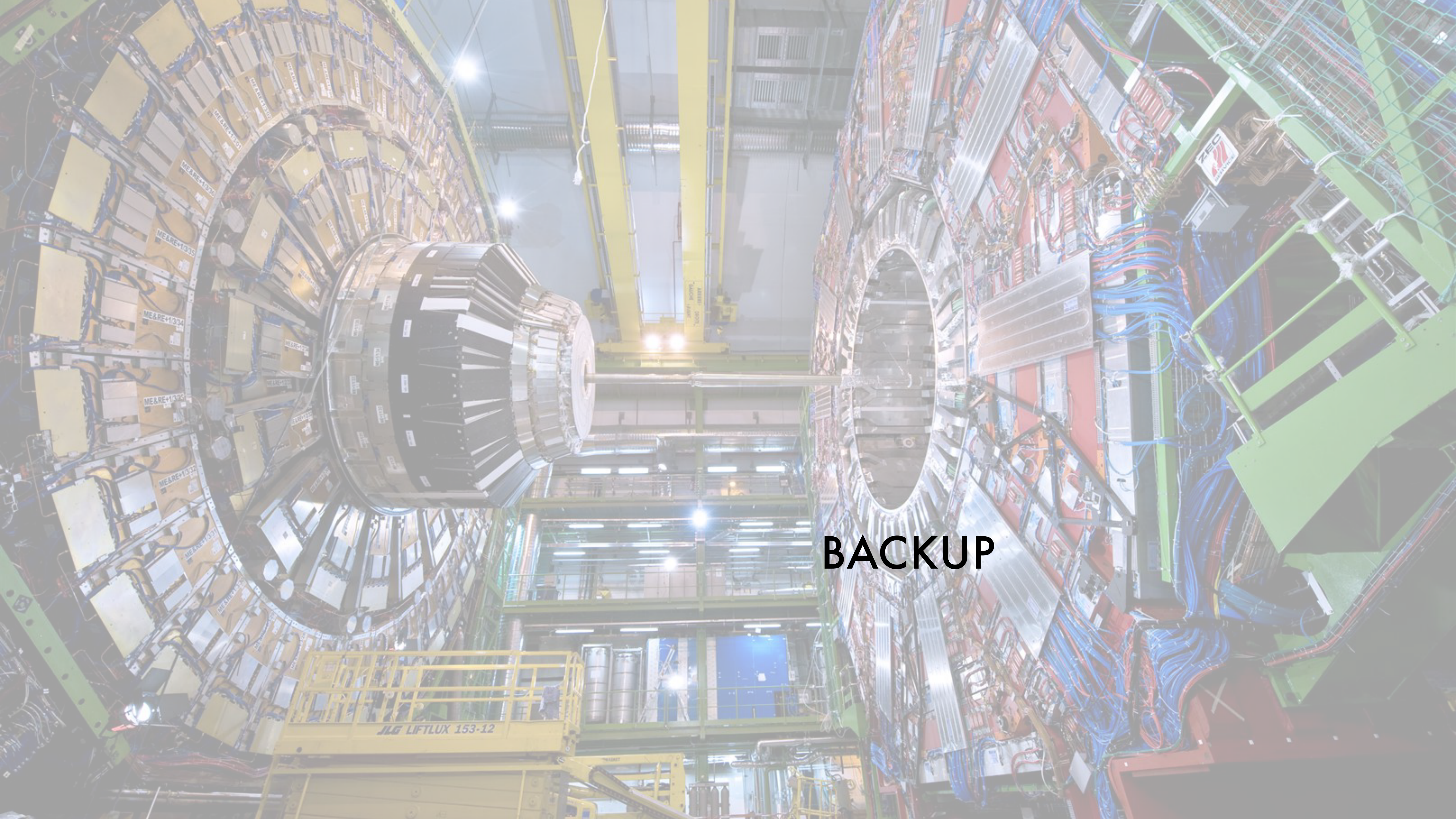
Tracks with $p_T > 2 \text{ GeV}$ can be used in L1 trigger for (un)-irradiated 2S modules

Regression of neutrino momentum

- In Higgs to tau tau analysis for CP violation, it is important to get full tau momenta
- Several ML based approach can be used to regress neutrino momenta
- The plan is to use more granular event information and advanced techniques for better performance.



Thank you for your attention ...



BACKUP

Uncertainties

- Normalisation uncertainty sources:

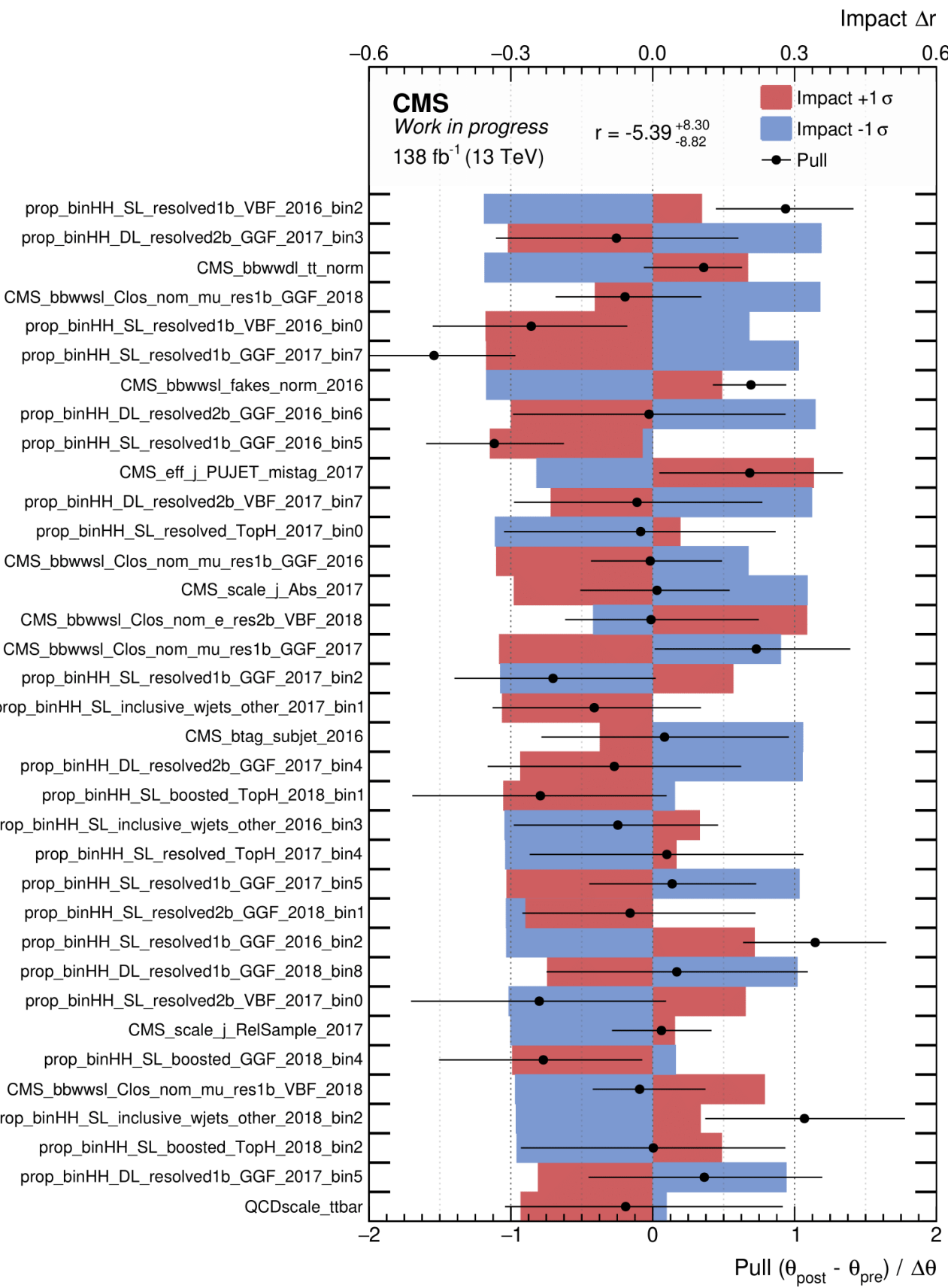
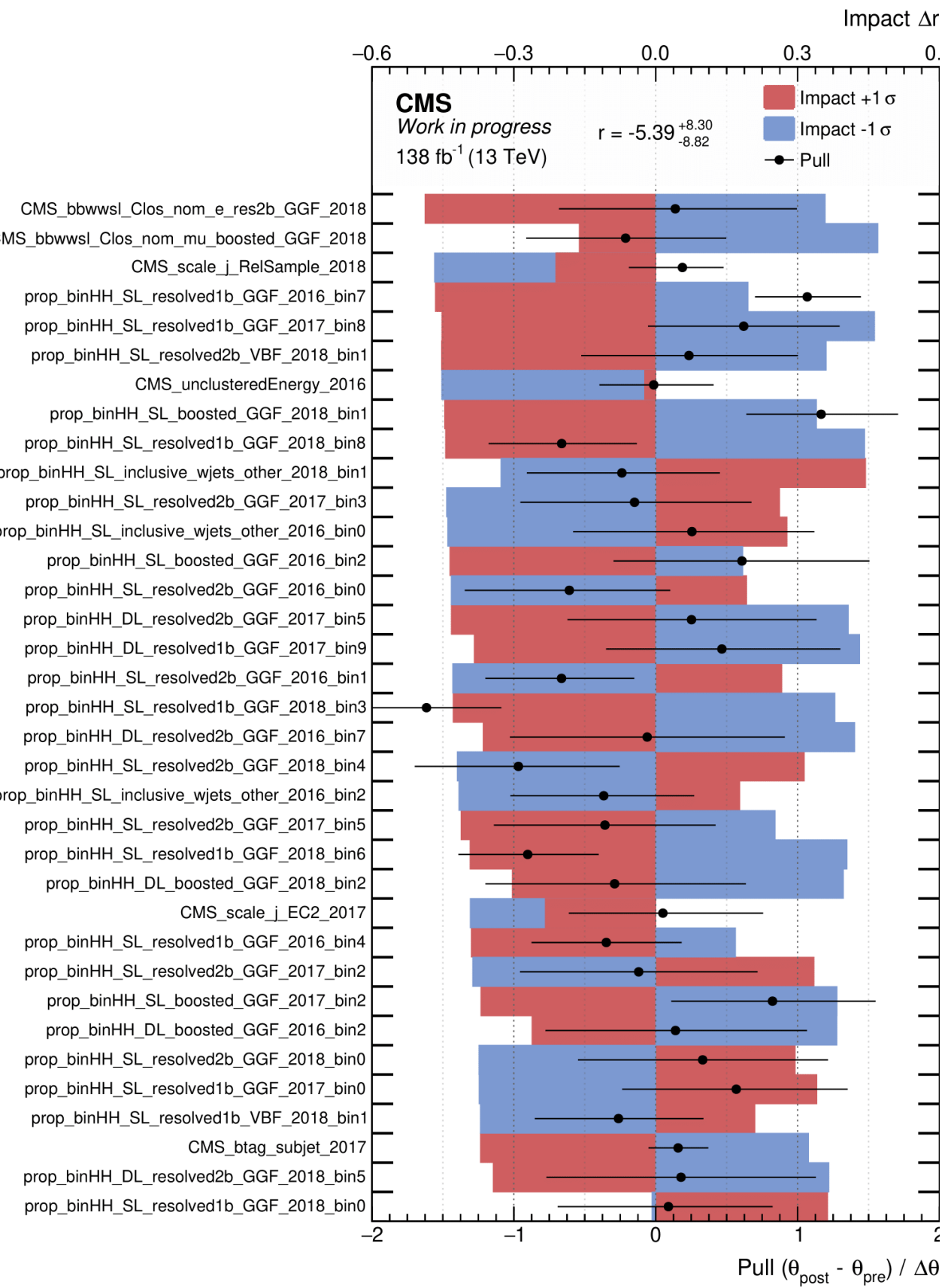
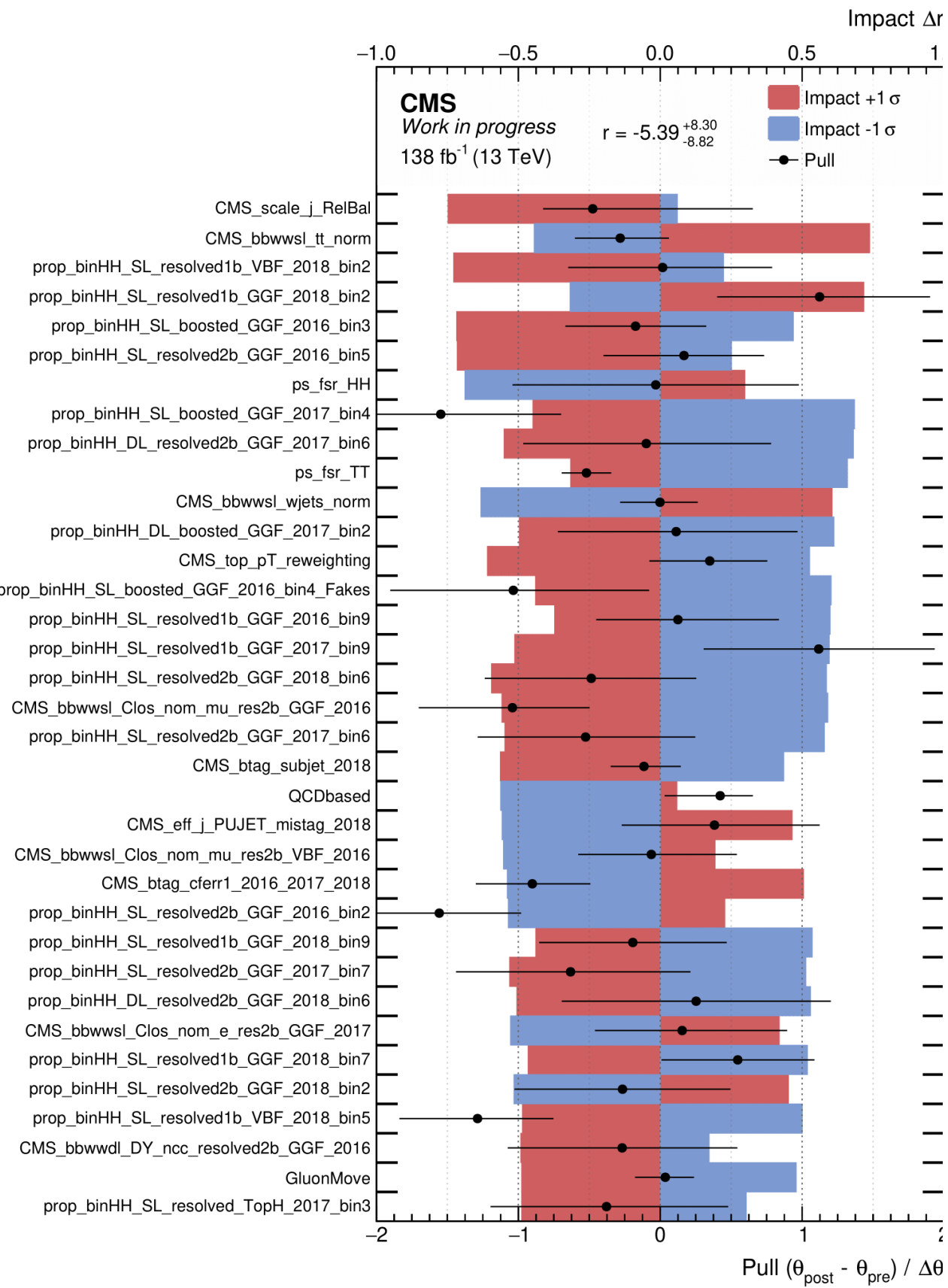
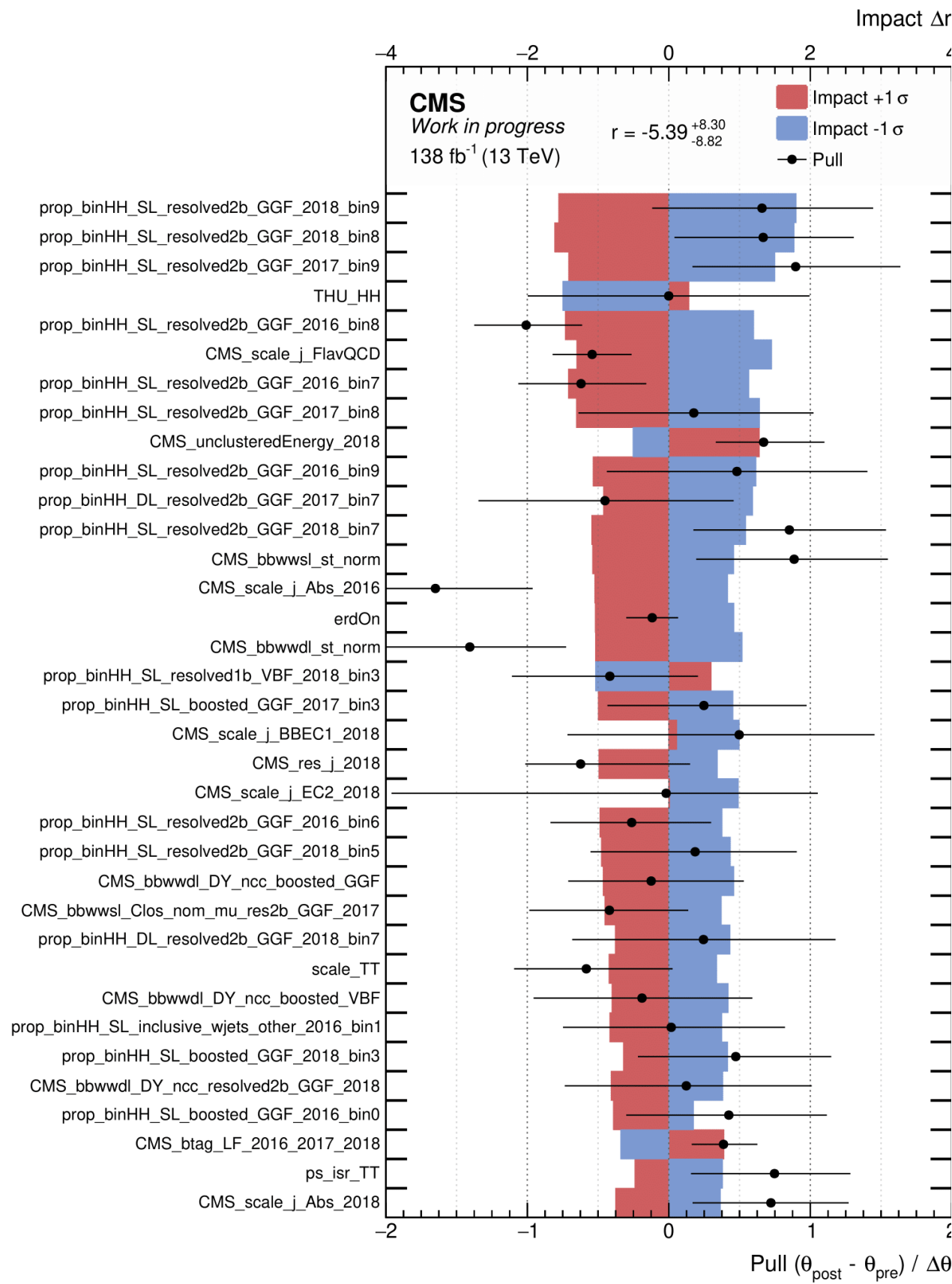
- Luminosity
- Branching ratio
- QCD scale, PDF, α_s , EW corrections
- HH cross section uncertainties
- Fake non-closure

- Shape uncertainty sources:

- PileUp reweighting
- Trigger scale factors
- Electron and Muon scale factor
- top pT reweighting
- Jet pileup ID
- Jet energy resolution, Jet energy scale
- b-tagging scale factors
- PDF and PS weights

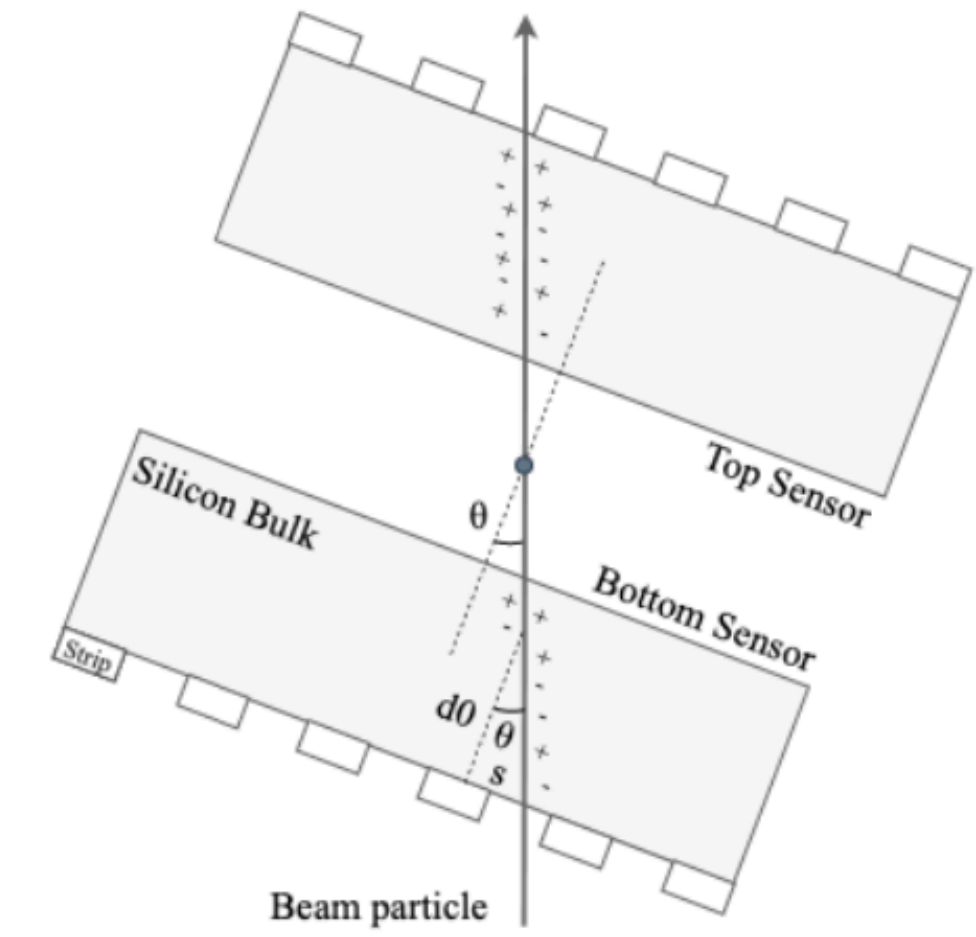
autoMCstats
(Barlow-Beeston)

Uncertainties

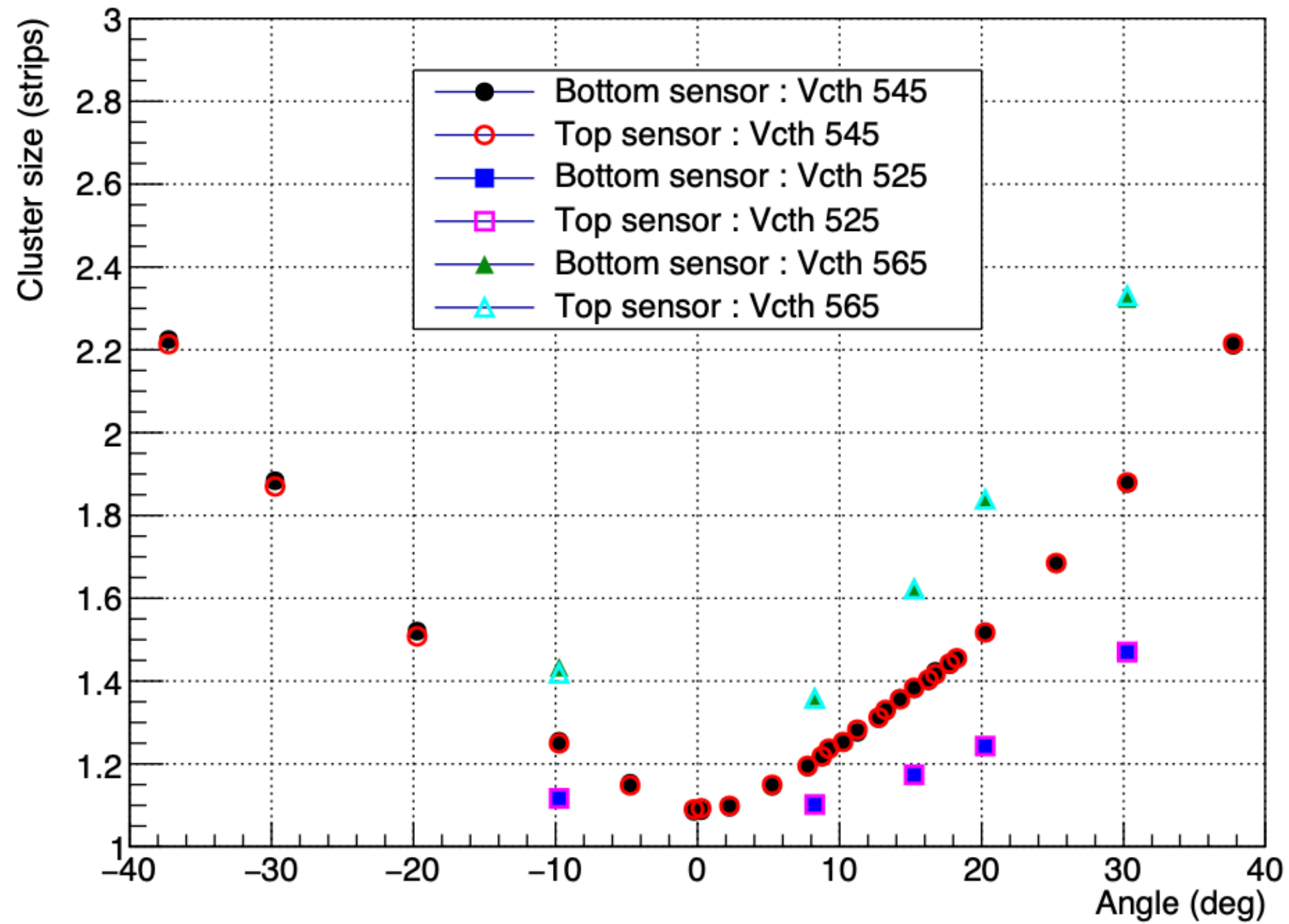


ANGULAR SCAN: CHARGE SHARING

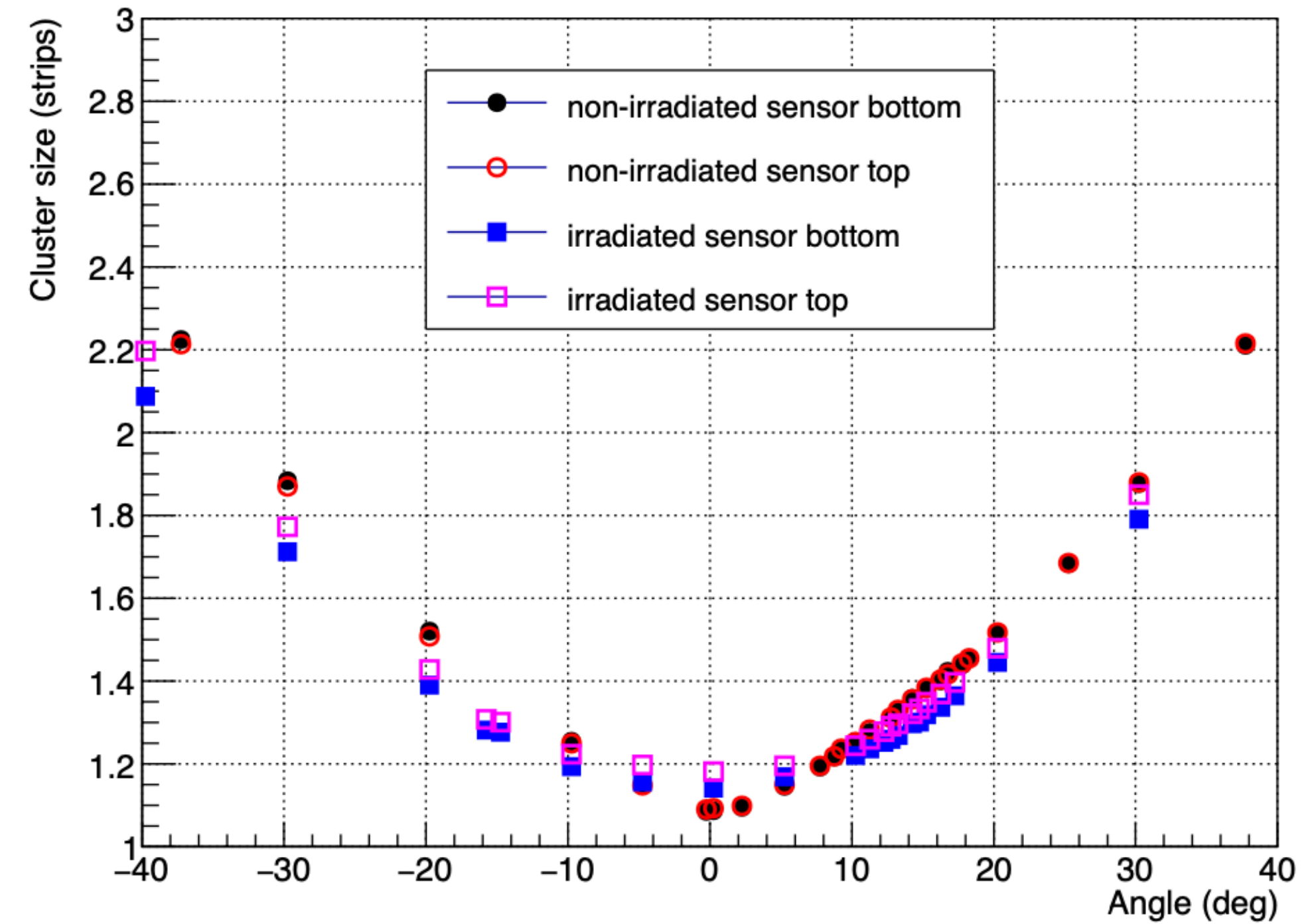
Cluster size Vs. angle



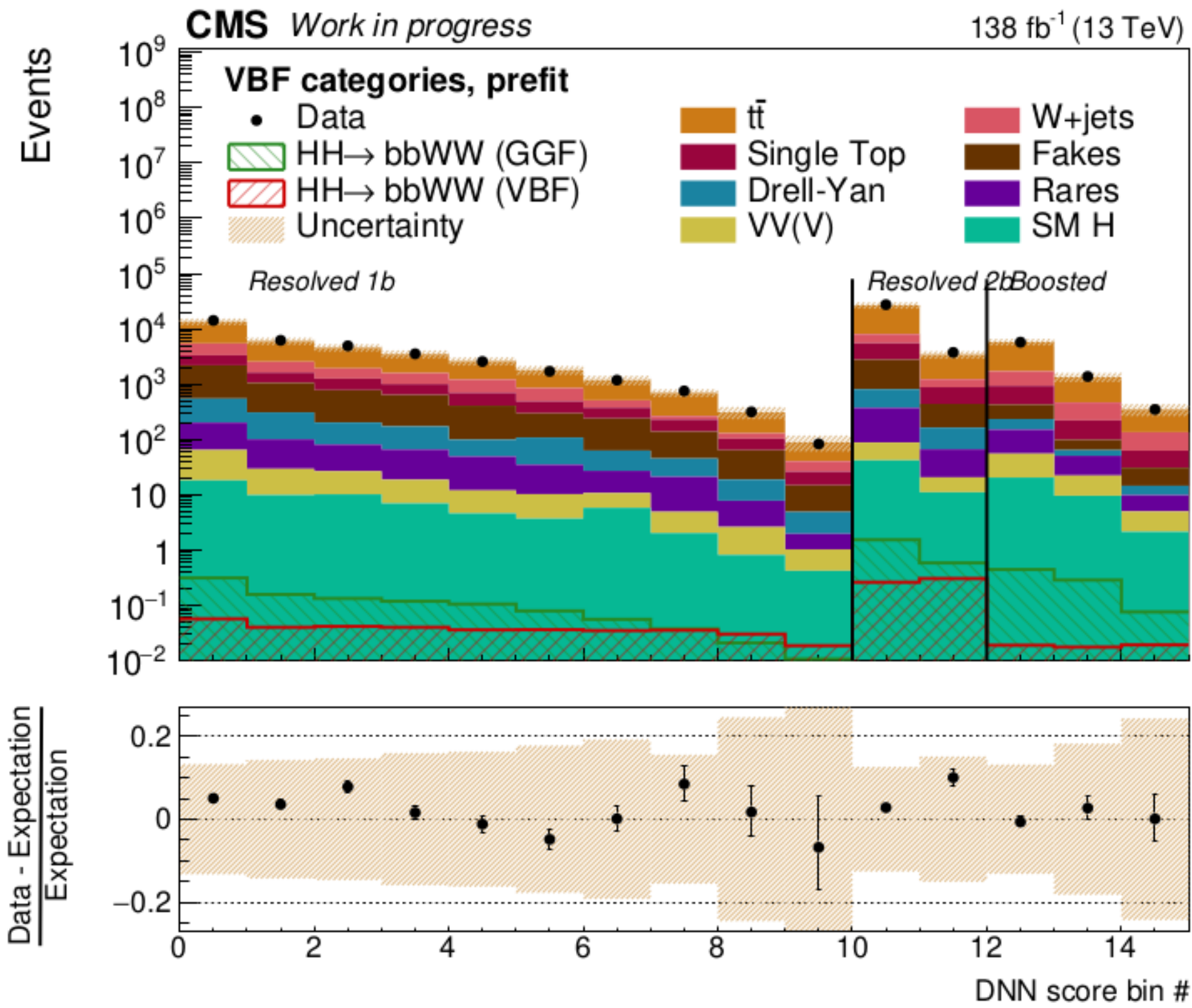
Bottom sensor : Vcth 545



non-irradiated sensor bottom



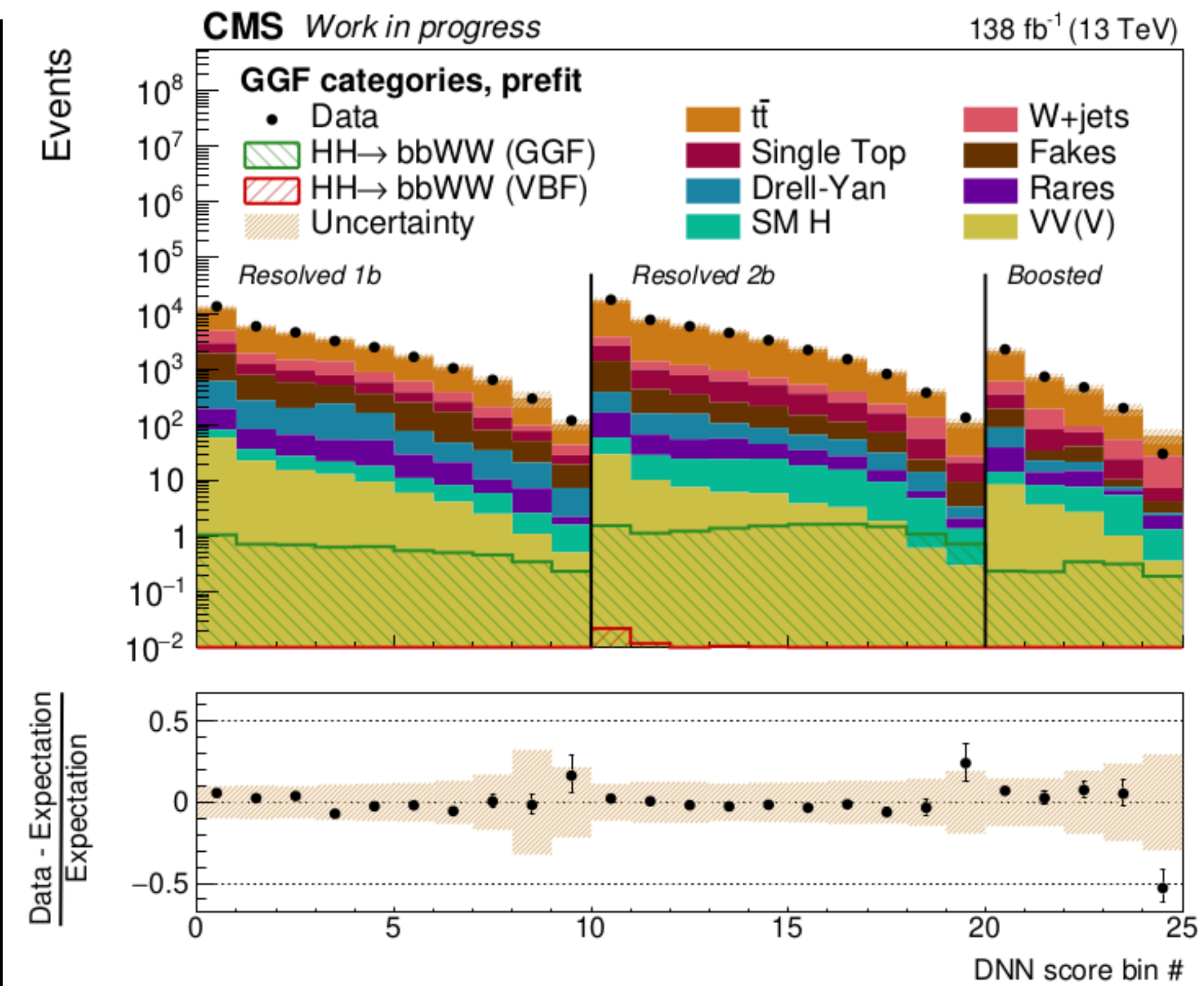
Binning



Idea

Quadratically decreasing set of thresholds (aggregated total background bin > threshold → start new bin)

Increase sensitivity to signal in the rightmost bins



EFT Shape Benchmarks

1608.06578

Benchmark	κ_λ	κ_t	c_2	c_g	c_{2g}
1	7.5	1.0	-1.0	0.0	0.0
2	1.0	1.0	0.5	-0.8	0.6
3	1.0	1.0	-1.5	0.0	-0.8
4	-3.5	1.5	-3.0	0.0	0.0
5	1.0	1.0	0.0	0.8	-1.0
6	2.4	1.0	0.0	0.2	-0.2
7	5.0	1.0	0.0	0.2	-0.2
8	15.0	1.0	0.0	-1.0	1.0
9	1.0	1.0	1.0	-0.6	0.6
10	10.0	1.5	-1.0	0.0	0.0
11	2.4	1.0	0.0	1.0	-1.0
12	15.0	1.0	1.0	0.0	0.0
SM	1.0	1.0	0.0	0.0	0.0

Table 1: Parameter values of the final benchmarks selected by the clustering procedure [1]. The third cluster is the one that contains the SM sample (defined by $\kappa_\lambda = \kappa_t = 1, c_2 = c_g = c_{2g} = 0$).

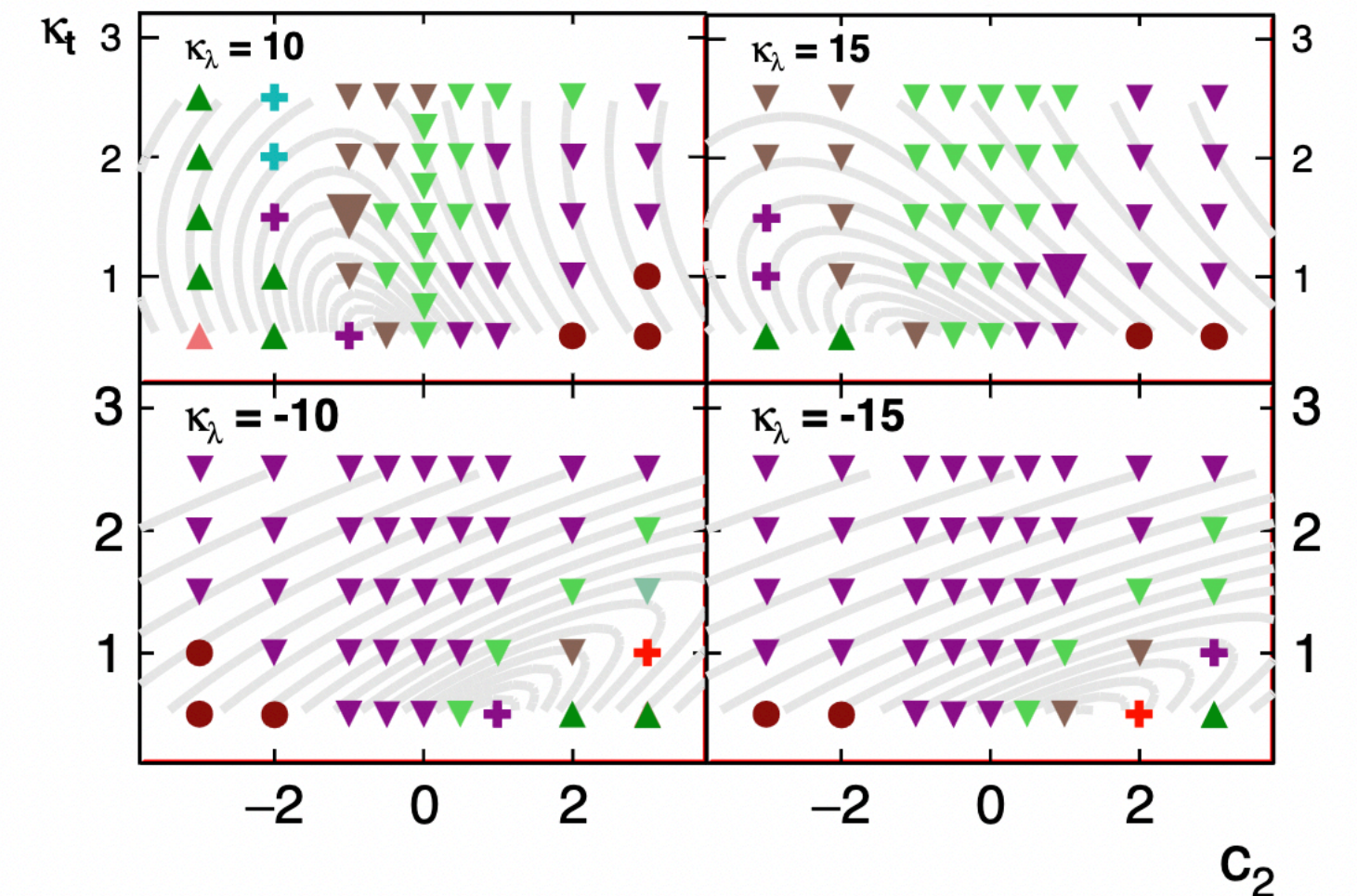
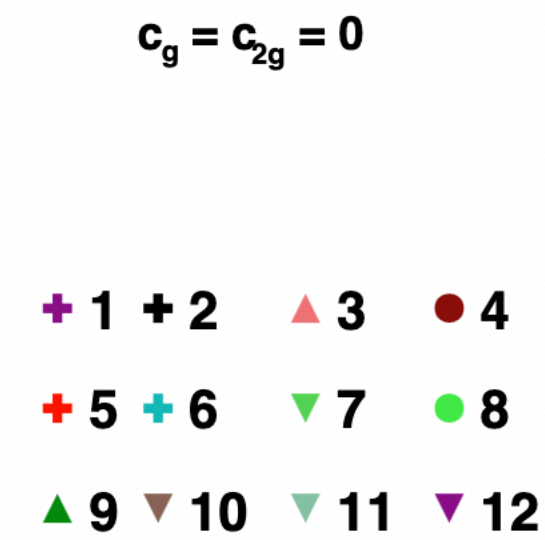
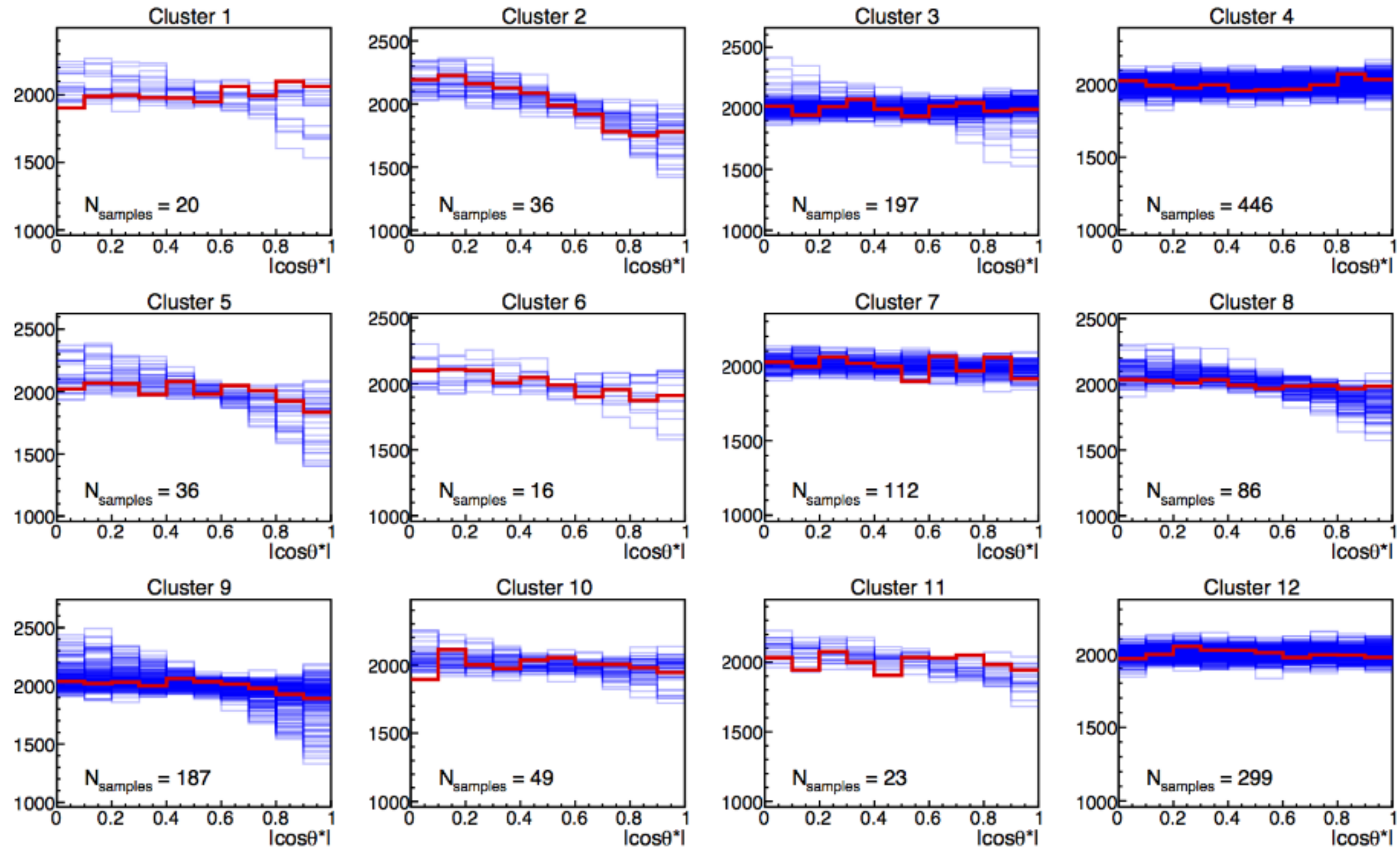


Figure 4: Distribution of points in the $c_2 \times \kappa_t$ plane for different values of κ_λ when $(c_g, c_{2g}) = (0, 0)$. Circles describe clusters whose benchmark has Higgs boson p_T ($p_{T,H}$) peaking around 100 GeV. Downward-pointing triangles describe clusters where $p_{T,H}$ is peaking around 50 GeV or less, while upward-pointing triangles describe ones with $p_{T,H}$ peaking around 150 GeV or more. Finally, crosses describe clusters that show a double peaking structure in the $p_{T,H}$ distribution. Larger markers indicate benchmark points. The gray lines correspond to iso-contours of constant cross section σ_{HH} . See Fig. 8 in Ref. [1] for more details.

EFT Shape Benchmarks

1608.06578



EFT Shape Benchmarks

Table 1.3 | Values obtained from clustering of the 12 benchmarks defined in Ref. [77], with the additional "8a" point from Ref. [82].

Benchmark number	1	2	3	4	5	6	7	8	9	10	11	12	8a
κ_λ	7.5	1.0	1.0	-3.5	1.0	2.4	5.0	15.0	1.0	10.0	2.4	15.0	1.0
κ_t	1.0	1.0	1.0	1.5	1.0	1.0	1.0	1.0	1.0	1.5	1.0	1.0	1.0
c_2	-1.0	0.5	-1.5	-3.0	0.0	0.0	0.0	0.0	1.0	-1.0	0.0	1.0	0.5
c_g	0.0	-0.8	0.0	0.0	0.8	0.2	0.2	-1.0	-0.6	0.0	1.0	0.0	0.8/3
c_{2g}	0.0	0.6	-0.8	0.0	-1.0	-0.2	-0.2	1.0	0.6	0.0	-1.0	0.0	0.0

Table 1.4 | Values obtained from clustering of the 7 benchmarks defined in Ref. [79].

Benchmark number	1	2	3	4	5	6	7
κ_λ	3.94	6.84	2.21	2.79	3.95	5.68	-0.10
κ_t	0.94	0.61	1.05	0.61	1.17	0.83	0.94
c_2	-1./3.	1./3.	-1./3.	1./3.	-1./3.	1./3.	1.
c_g	0.5x1.5	0.0x1.5	0.5x1.5	-0.5x1.5	1./6.x1.5	-0.5x1.5	1./6.x1.5
c_{2g}	1./3.x(-3.)	-1./3.x(-3.)	0.5 x(-3.)	1./6.x(-3.)	-0.5 x(-3.)	1./3.x(-3.)	-1./6.x(-3.)