



# Project REPARE :

## Production cross-section measurement of $^{211}$ and $^{210}$ At for targeted alpha therapy

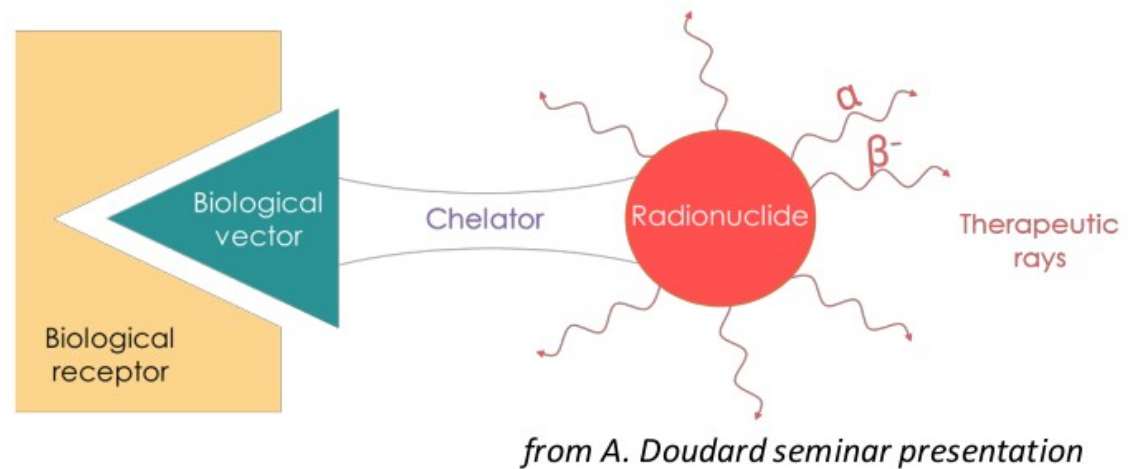
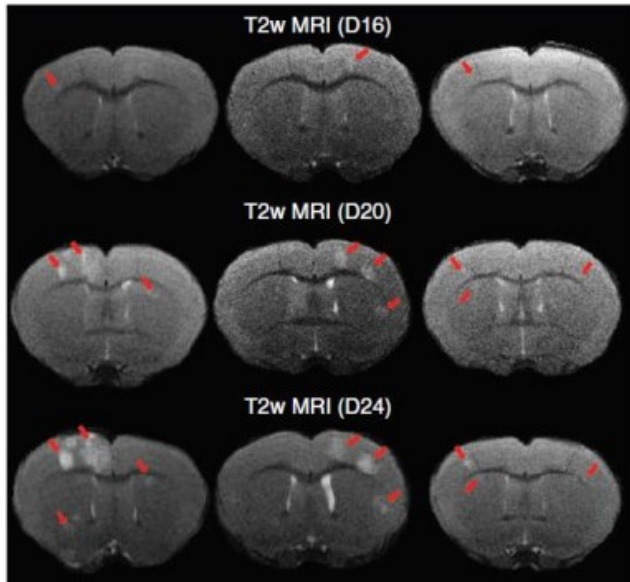
GDR: LP2i Bordeaux, 4<sup>th</sup> - 6<sup>th</sup> October, 2023

S. Ansari-Chauveau

04/10/23

# Targeted Radio Therapy

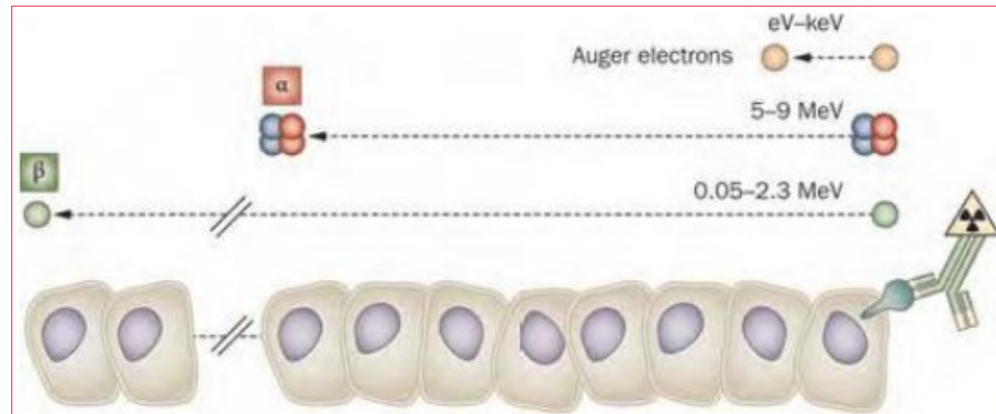
- Localized cancer → Surgery/ External radio therapy → Hadron therapy
- Diffused cancer → Chemotherapy / **Internal Targetted Radio Therapy** → using  $\alpha/\beta$  emitters



Métastases cérébrales  
(Corroyer 2019)

# Targeted Alpha Therapy

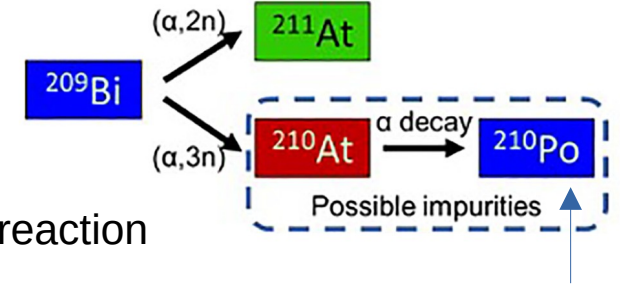
- $\alpha$  particles are very efficient against small tumors:
  - high energy deposited: 4-9 MeV
  - high Linear Energy Transfer (LET):  $\sim 100$  keV/ $\mu$ m
- DNA double strand breaks ++
- Oxygen Enhancement Ratio (OER)
  - radioresistant cells: hypoxia



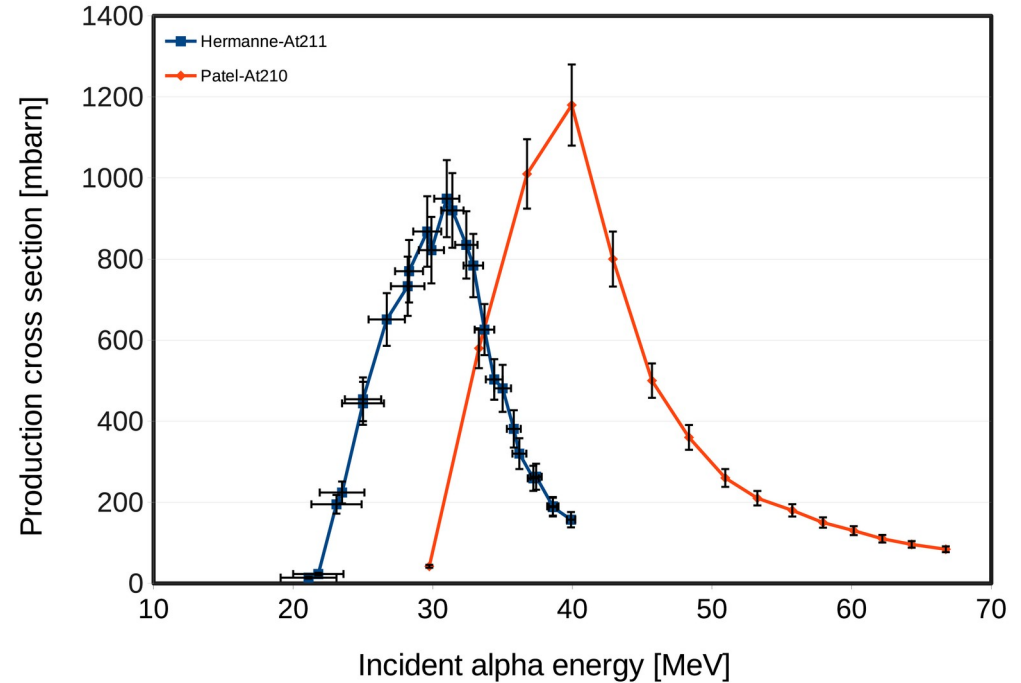
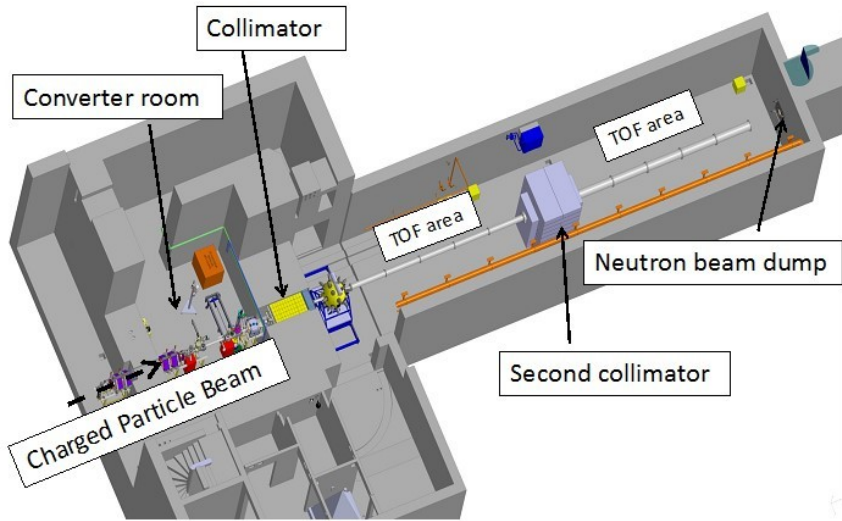
Schematic representation of Auger,  $\alpha$ - and  $\beta$ -particles range in tissue, at the cellular scale.  
Source: Pouget et al. 2011.

# Astatine production

- Alpha beam at SPIRAL2, NFS for  $^{211}\text{At}$  production  $\rightarrow \text{Bi}(\alpha,2n)\text{At}$  reaction
- Depending on the alpha energy,  $^{210}\text{At}$  can also be produced  $\rightarrow \text{Bi}(\alpha,3n)\text{At}$  reaction



**Polonium  
production**



Pneumatic transfer system  $\rightarrow$  developed by NPI CAS

# Experimental objective

## Irradiated targets

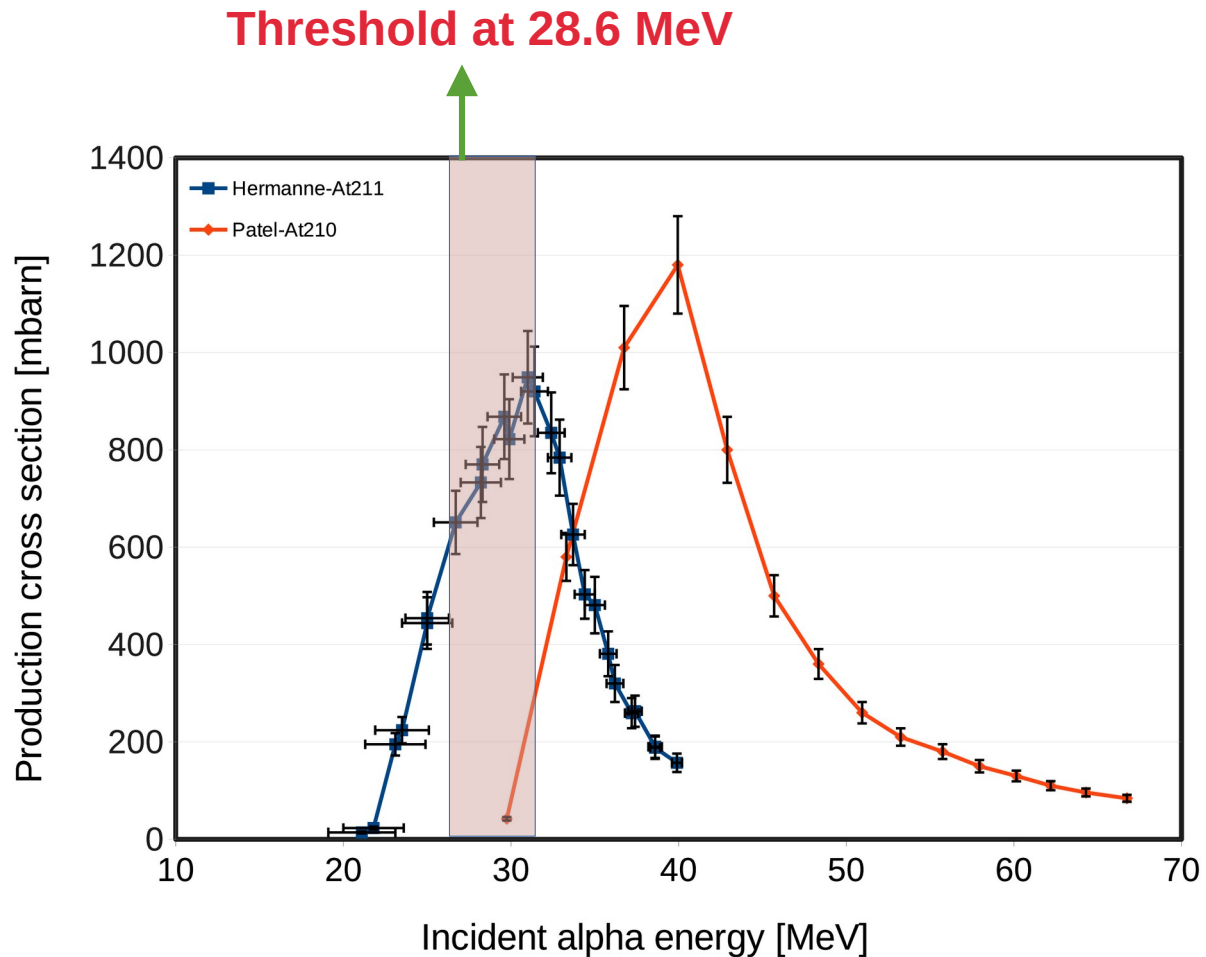
- Bi → Measure CS of At via  $\gamma$ -ray spectroscopy
- Cu → To cross-check flux by using known cross section from the literature

## $\alpha$ beam

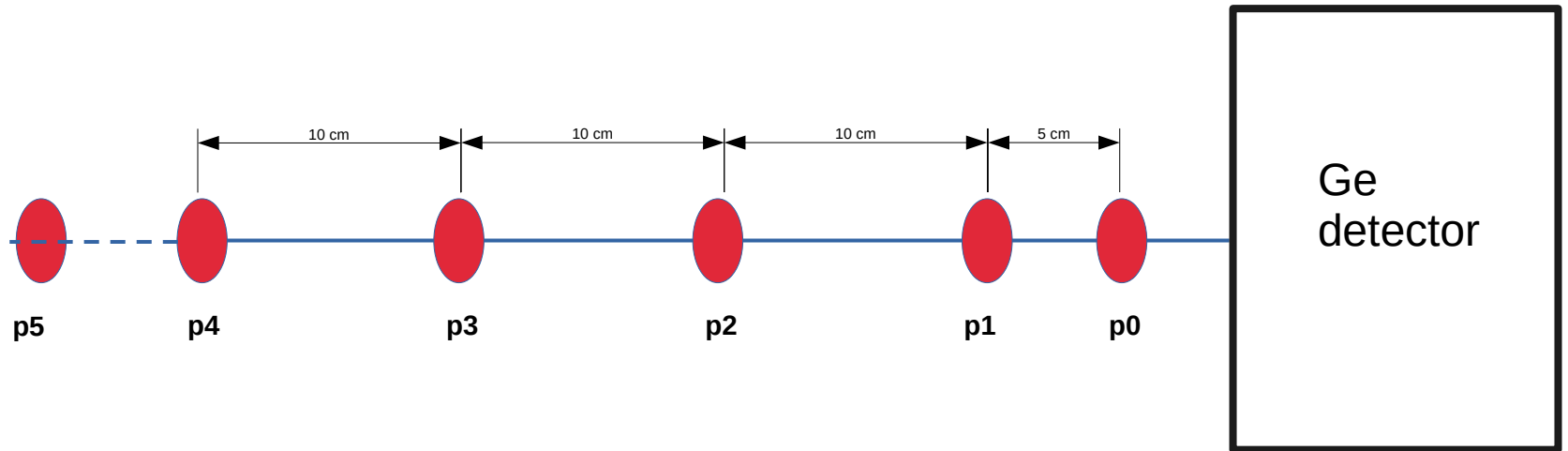
- $28 \text{ MeV} < E < 31 \text{ MeV}$

## Setup : 2 spectral measurement

- Using a Ge detector in ToF hall
- Using 2 Exogam detectors remotely

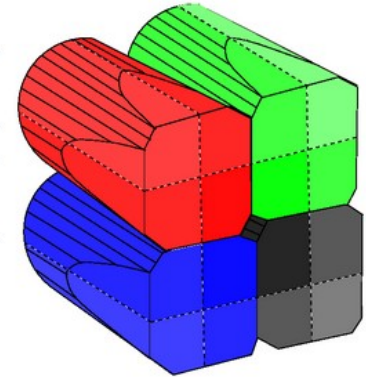
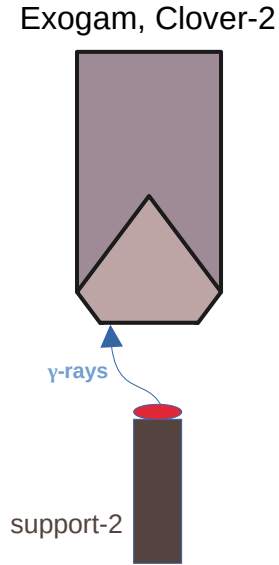
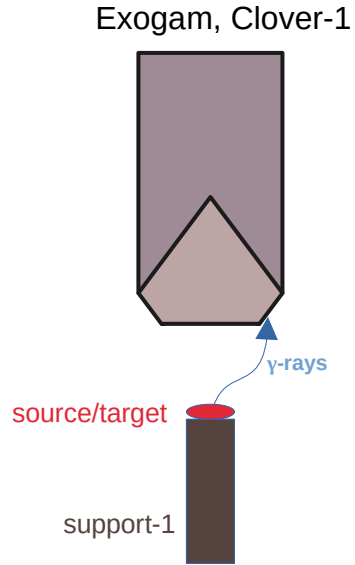


# Experimental setup-1



- Bi and Cu were irradiated with alpha energy 28-31 MeV
- Measurements taken at 6 different position
- 1 Ge detector used
- Time between Irradiation and measurement: ~ 1 min to 22 mins, for different Bi targets.

# Experimental setup-2



Exogam clover: 4 crystals

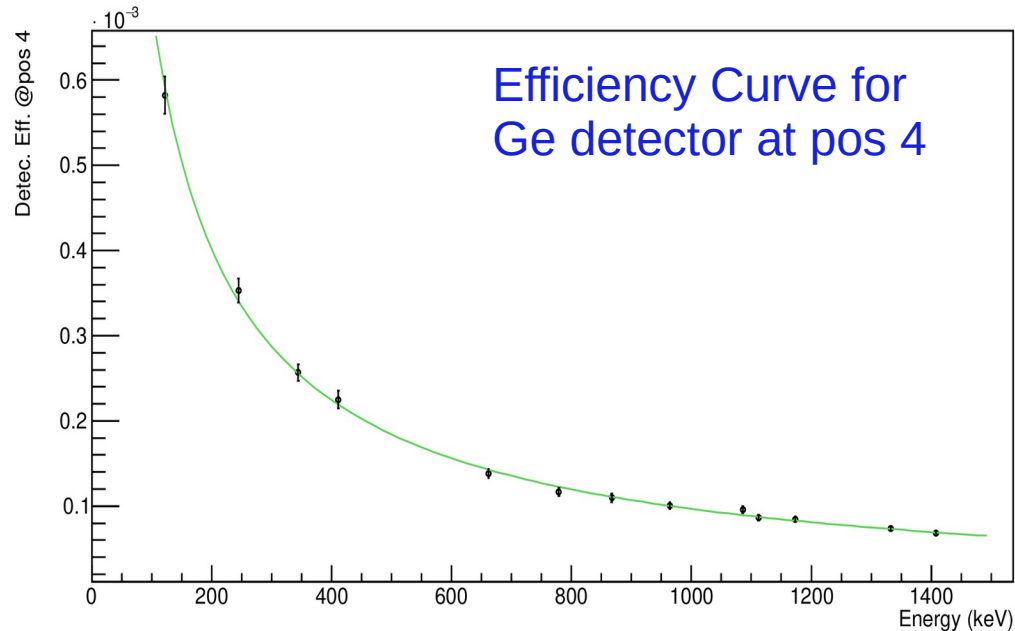
- Bi and Cu were irradiated with alpha energy 28-31 MeV
- Measurements taken with 2 Exogam clovers
- Different targets were placed under each clover
- Time between Irradiation and measurement: ~ several hours

# Energy and Efficiency Calibration

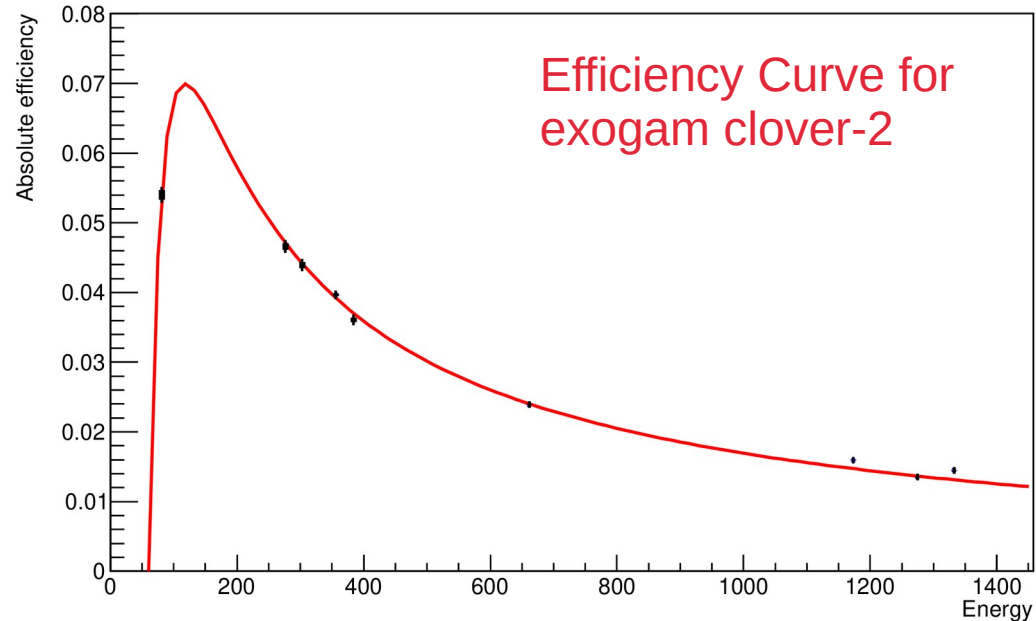
Sources used:

$^{60}\text{Co}$ ,  $^{137}\text{Cs}$ ,  $^{88}\text{Y}$  and  $^{152}\text{Eu}$  for Ge detector (TOF room)

$^{60}\text{Co}$ ,  $^{137}\text{Cs}$ ,  $^{22}\text{Na}$ ,  $^{133}\text{Ba}$  for Exogam clovers



Efficiency is 0.15% @ pos 0 for 687 keV from  $^{211}\text{At}$



Efficiency is 2.3% for 687 keV from  $^{211}\text{At}$



# Analysis

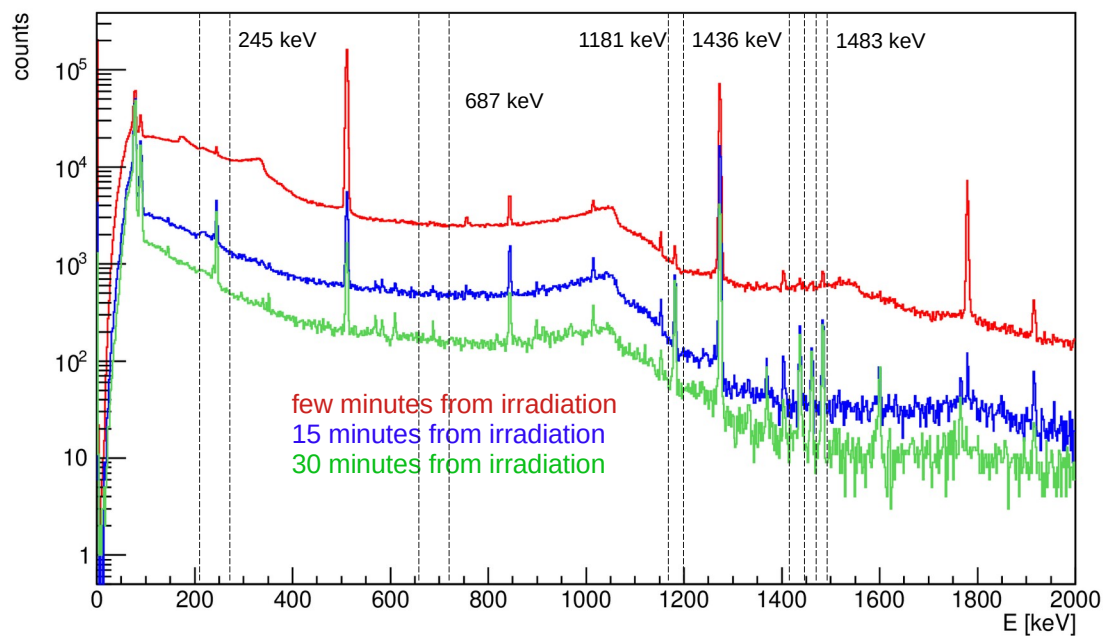
$\gamma$ -spectrum from 2 different setups

$^{210}\text{At}$   $T_{1/2} = 8.1$  h  
 $^{211}\text{At}$   $T_{1/2} = 7.2$  h

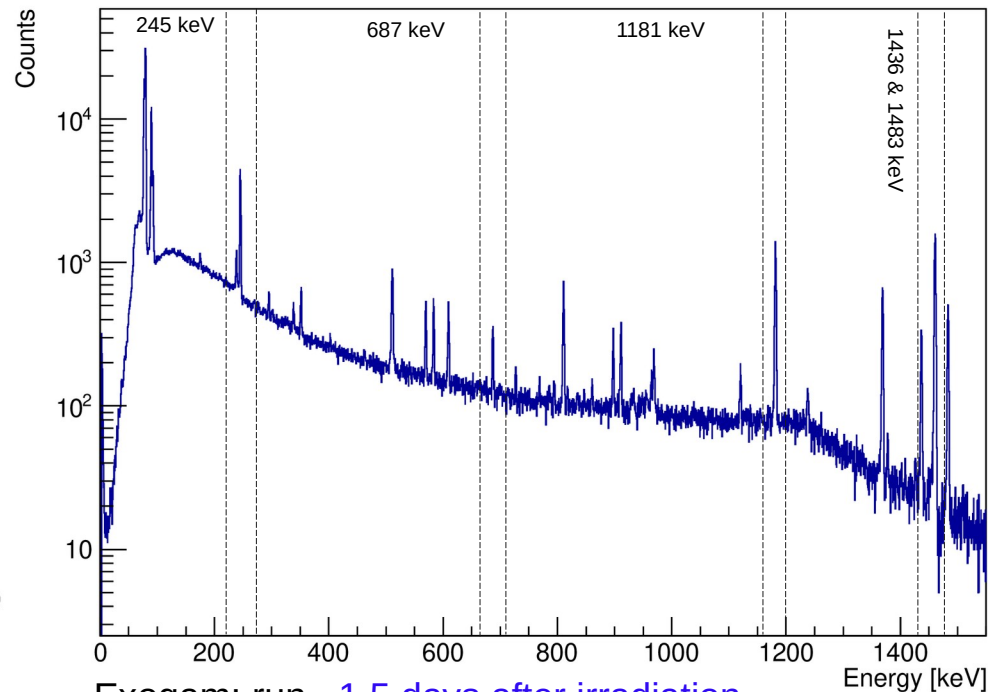
Nuclei	Energy [keV]	BR
$^{210}\text{At}$	245	0.69
$^{210}\text{At}$	1181	0.99
$^{210}\text{At}$	1436	0.29
$^{210}\text{At}$	1483	0.465
$^{211}\text{At}$	687	0.00245

$^{209}\text{Bi}$  spectrum

Same Bi target with different times between irradiation and measurements



Ge (ToF room)



Exogam: run  $\sim 1.5$  days after irradiation

# Cross section measurement

$$A_{ct} = \frac{\lambda}{(e^{-\lambda t_1} - e^{-\lambda t_2})} \times \frac{M}{r \times \epsilon}$$

$$\sigma = \frac{A_{ct}}{\phi \cdot \chi \cdot (1 - e^{-\lambda \cdot t_{irr}})} \cdot \frac{A}{N_A \cdot M_S}$$

First approximation:  $\phi = \frac{I_{CF}}{C \cdot 2 \cdot e}$

**A<sub>ct</sub>**: Activity at the end of the irradiation

**λ**: radioactive decay constant of the isotope [s<sup>-1</sup>]

**t<sub>1</sub>, t<sub>2</sub>**: time between irradiation end and Acqu. Start & stop

**M**: Number of detected γ-rays

**r**: branching ratio of the measured γ-ray

**ε**: detection efficiency at the corresponding energy

**σ**: cross section [b]

**φ**: incident particle fluence [s<sup>-1</sup>]

**χ**: chemical purity of the target

**t<sub>irr</sub>**: Irradiation duration [s]

**A**: Target atomic mass [g.mol<sup>-1</sup>]

**N<sub>A</sub>**: Avogadro constant [mol<sup>-1</sup>]

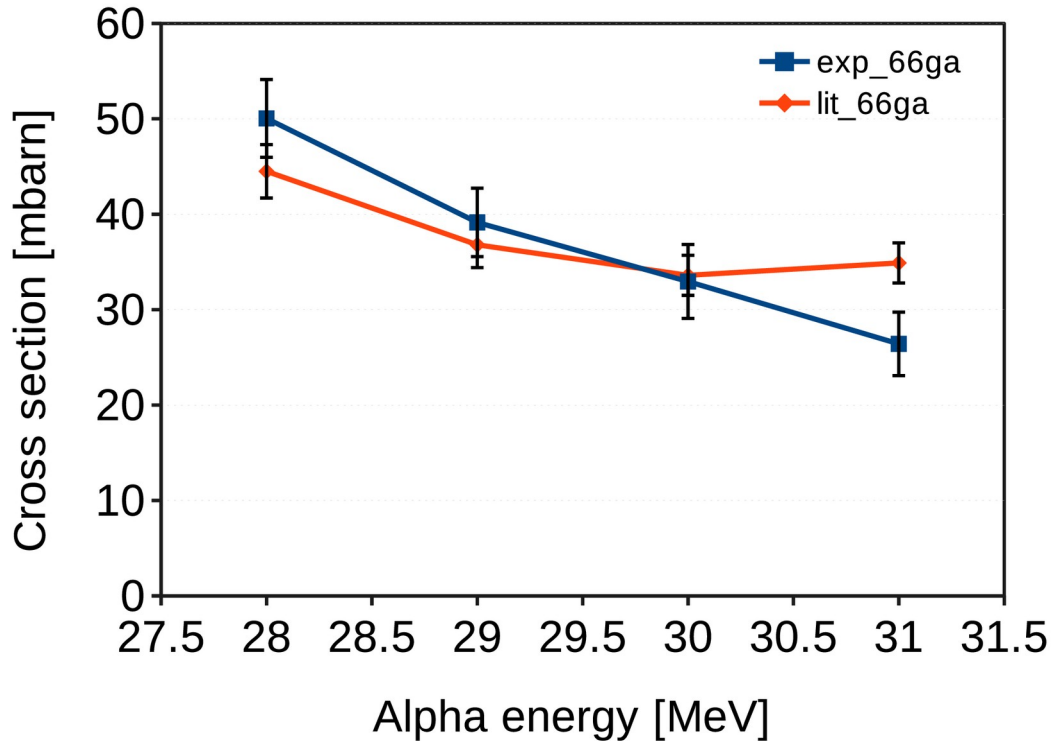
**M<sub>s</sub>**: Target surface mass [g.cm<sup>-2</sup>]

**I<sub>CF</sub>**: current measured by the faraday cup [1.10<sup>10</sup> C.s<sup>-1</sup>]

**C**: calibration factor, C = 1.10<sup>10</sup> [s<sup>-1</sup>]

**e**: the elementary charge [C]

# Flux 2<sup>nd</sup> approximation using lit. Copper CS



→ Ratio between the Lit. and Exp. flux values:

@ 28 MeV: 0.89

@ 29 MeV: 0.94

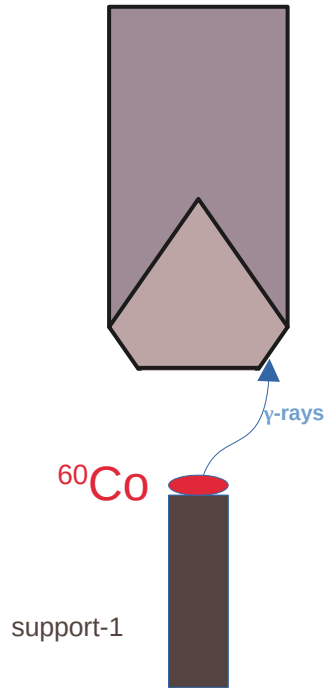
@ 30 MeV: 1.01

@ 31 MeV: 1.32

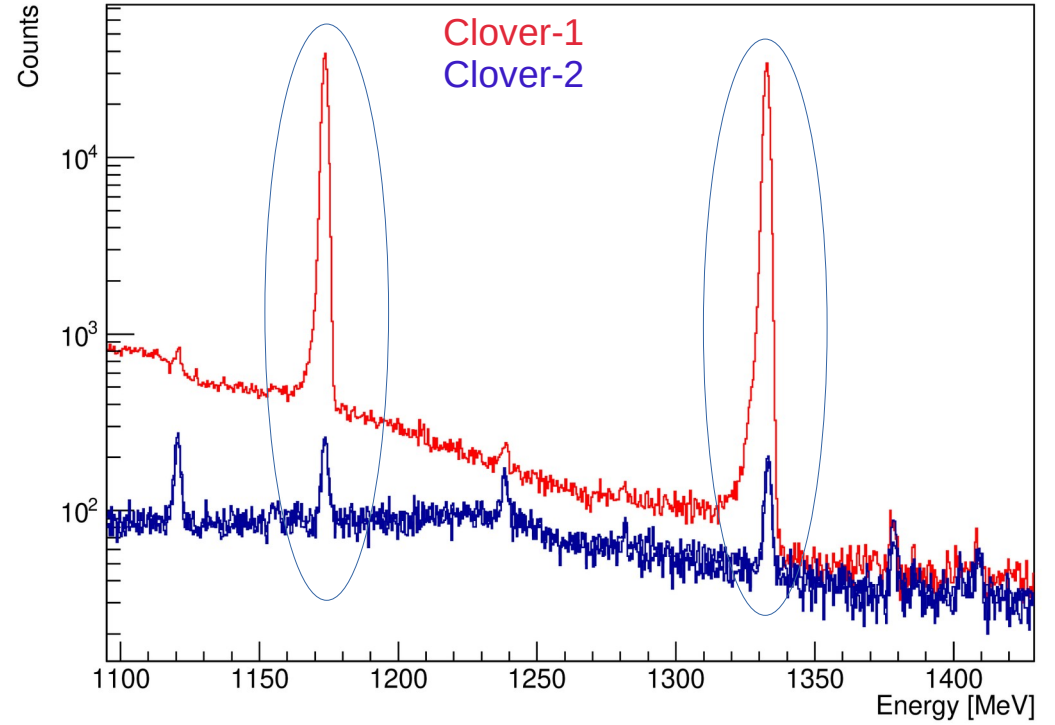
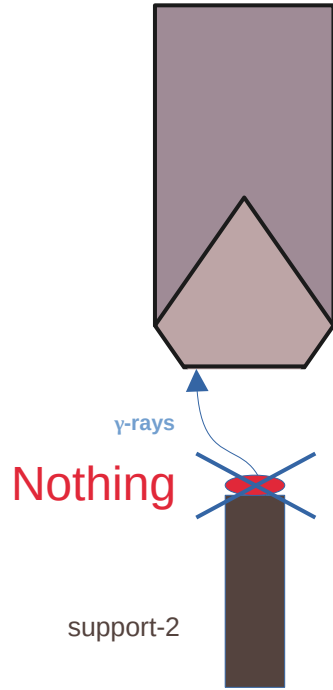
→ Flux calculated by using 1<sup>st</sup> approximation (current measured by faraday cup) is rather close to the one calculated from the literature CS of Cu.

# “Cross talk” between 2 clovers

Exogam, Clover-1



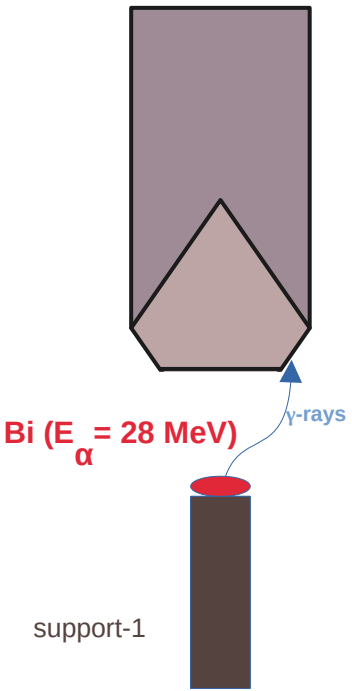
Exogam, Clover-2



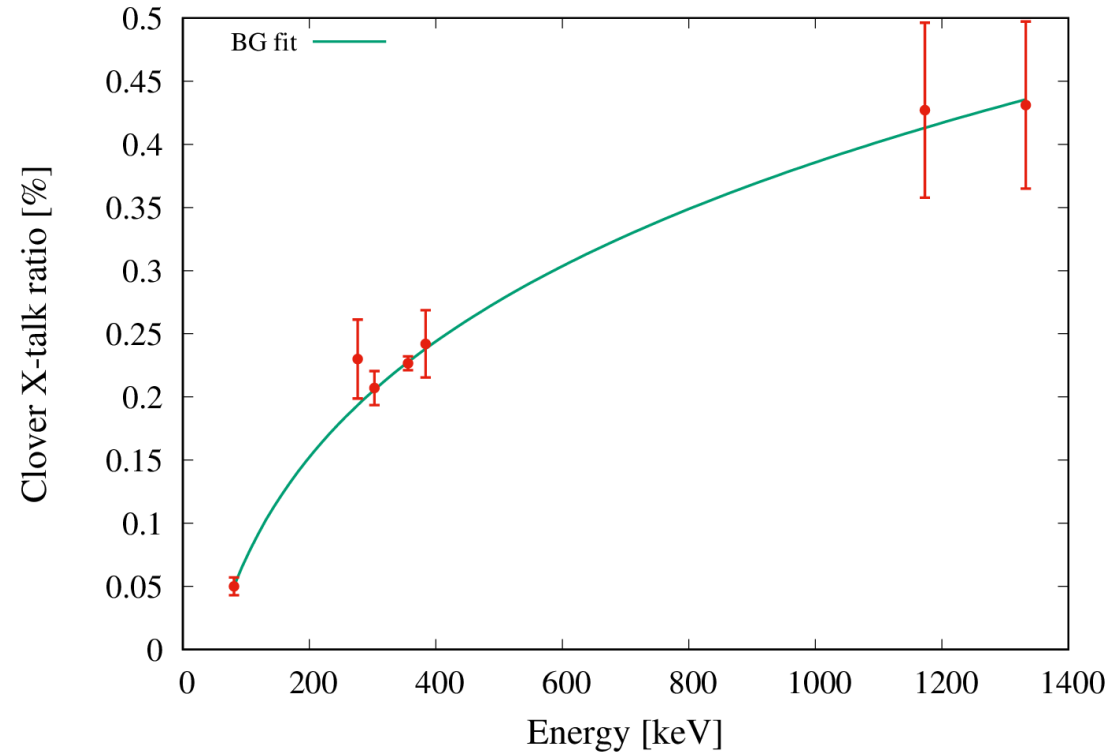
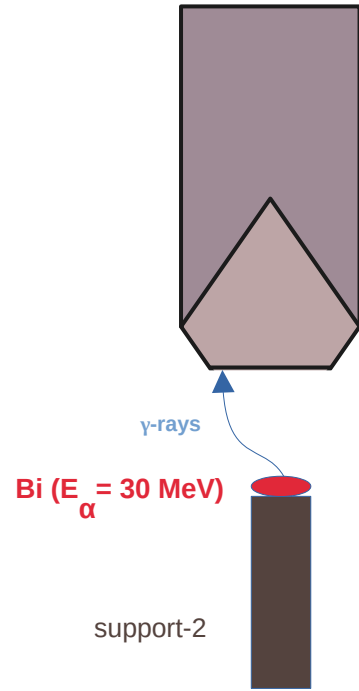
**0.3% of counts from Co peaks of clover 1 in clover 2**

# “Cross talk” between 2 clovers

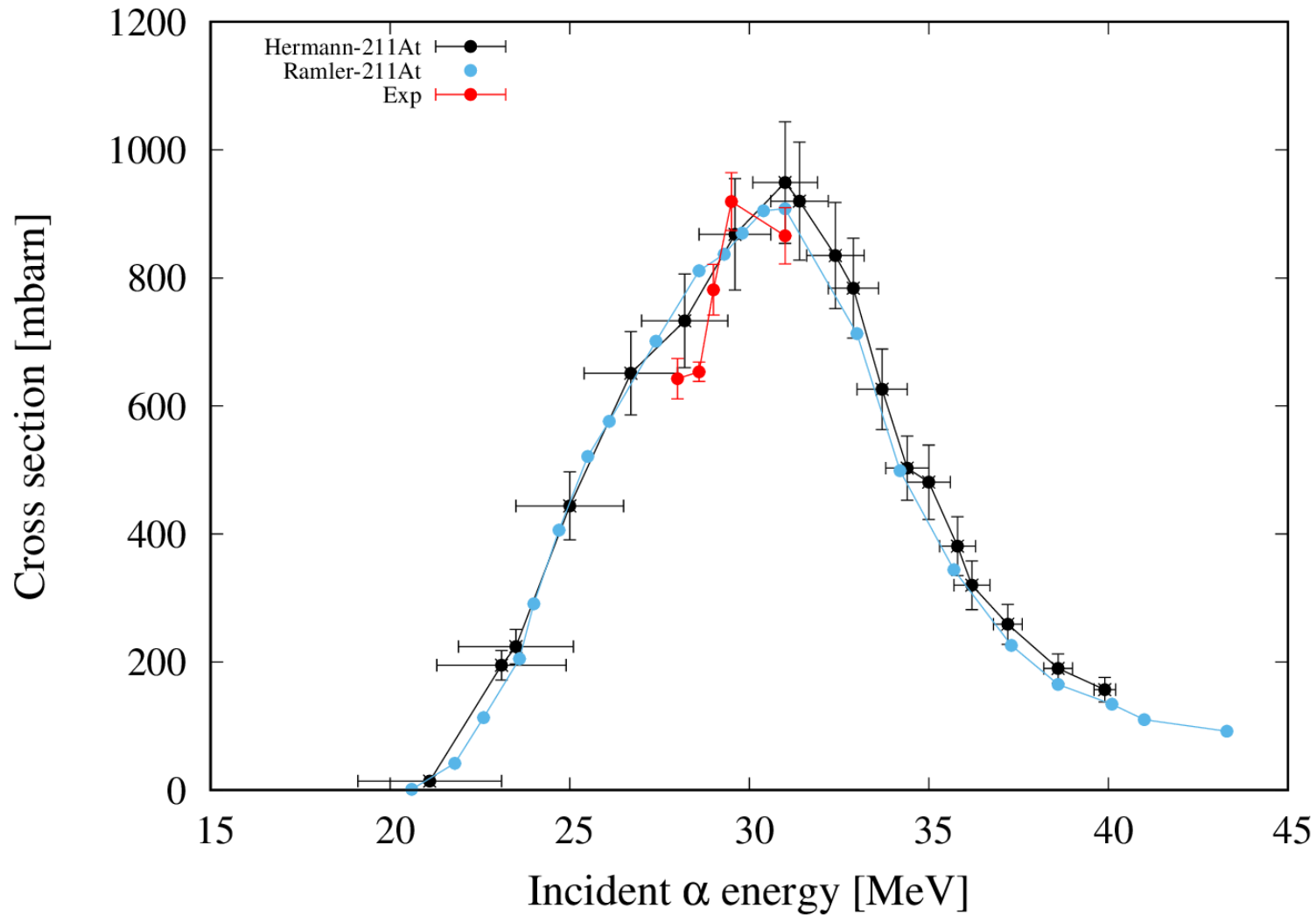
Exogam, Clover-1



Exogam, Clover-2

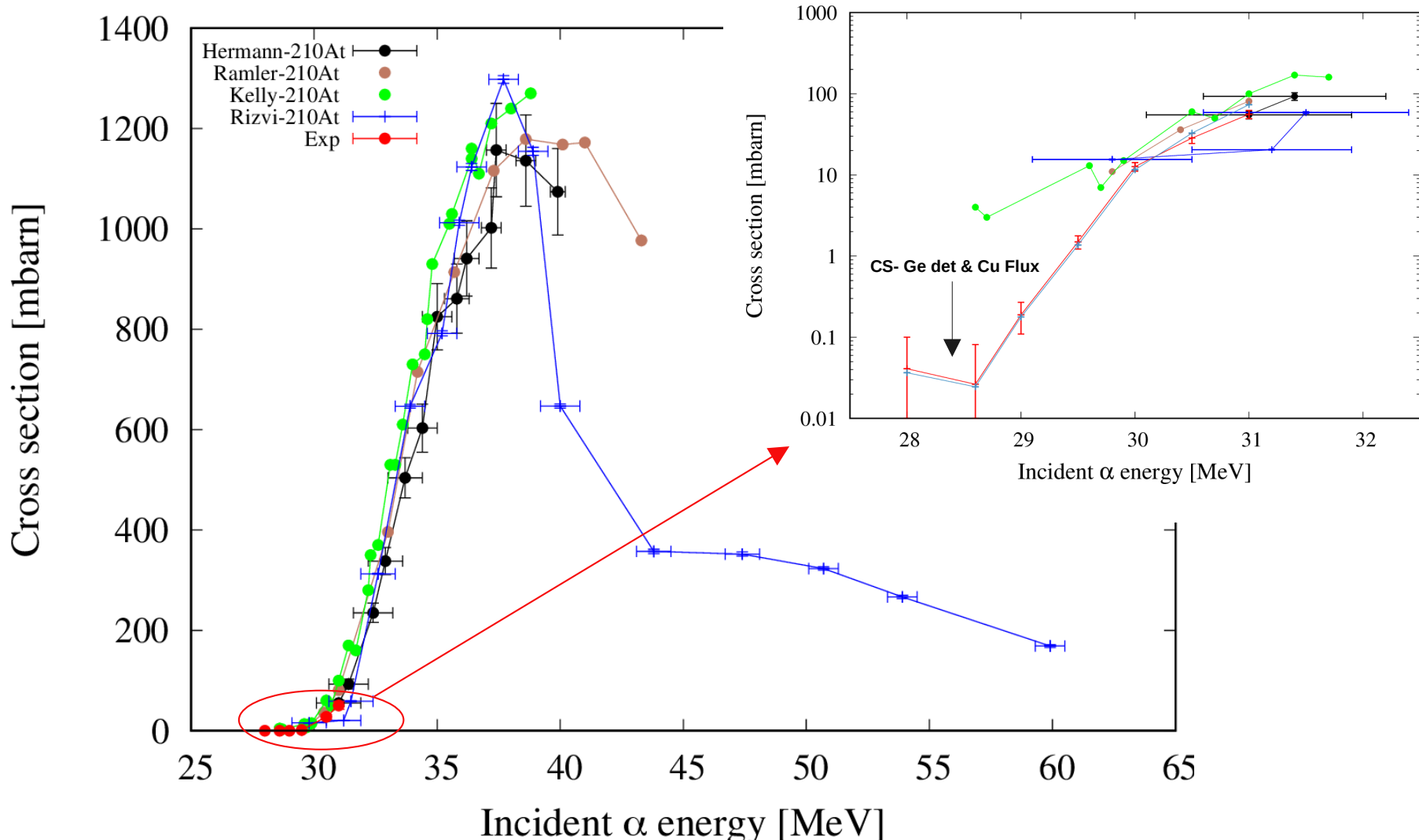


# $^{211}\text{At}$ production cross-sections using Exogam

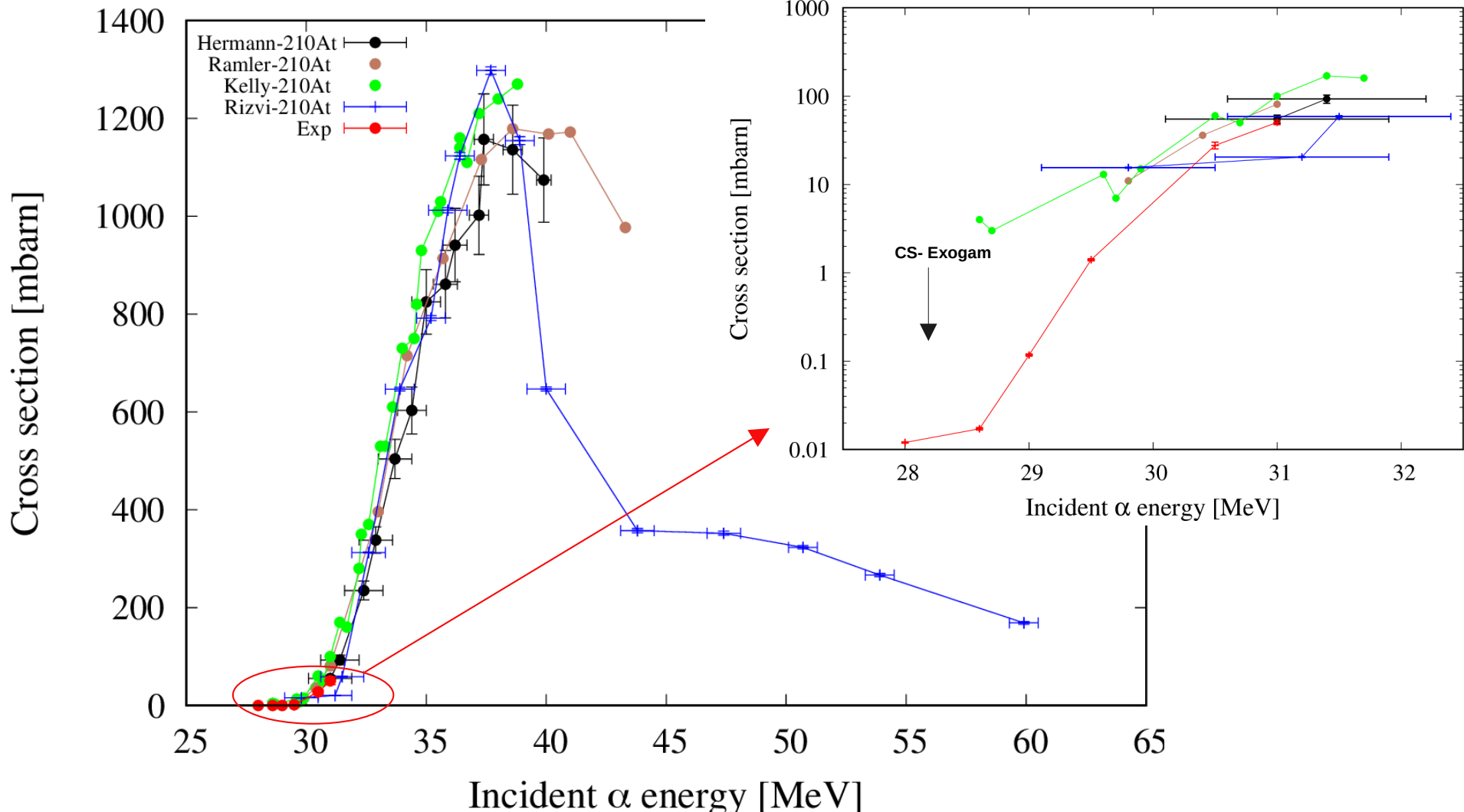


# $^{210}\text{At}$ production cross-sections from Ge detector (ToF room) & using Cu flux

Preliminary



# $^{210}\text{At}$ production cross-sections using Exogam



Preliminary



# Conclusion

- Successfully measured the cross-section of both  $^{211}\text{At}$  and its contaminant,  $^{210}\text{At}$  at critical incident alpha energies.
- These accurate CS measurements will allow us to determine optimal energy to produce  $^{211}\text{At}$  with least amount of contribution from  $^{210}\text{At}$ .
- First production studies of Astatine at NFS open doors for a broad and continued interdisciplinary collaboration with french laboratories, Cyceron, Arronax and Subatech in TAT.
- These first results are promising first steps for the integration of  $^{211}\text{At}$  at a preclinical level.

Thank you!

# Error Propagation

$$\delta \sigma^2 = f(\delta \lambda, \delta M, \delta r, \delta \epsilon, \delta \phi)$$

$$\delta \sigma^2 = \overbrace{\left(\frac{\partial \sigma}{\partial \lambda}\right)^2 \delta \lambda^2}^{1^{\text{st}} \text{ term}} + \overbrace{\left(\frac{\partial \sigma}{\partial M}\right)^2 \delta M^2}^{2^{\text{nd}} \text{ term}} + \overbrace{\left(\frac{\partial \sigma}{\partial r}\right)^2 \delta r^2}^{3^{\text{rd}} \text{ term}} + \overbrace{\left(\frac{\partial \sigma}{\partial \epsilon}\right)^2 \delta \epsilon^2}^{4^{\text{th}} \text{ term}} + \overbrace{\left(\frac{\partial \sigma}{\partial \phi}\right)^2 \delta \phi^2}^{5^{\text{th}} \text{ term}}$$

$$\delta \sigma^2 = \frac{\sigma}{\lambda} \left[ 1 - \lambda \frac{(-t_1 e^{-\lambda t_1} + t_1 e^{-\lambda t_2})}{(e^{-\lambda t_1} - e^{-\lambda t_2})} + \frac{t_{\text{irr}} e^{-\lambda t_{\text{irr}}}}{1 - e^{-\lambda t_{\text{irr}}}} \right]^2 \cdot \delta \lambda^2 + \left(\frac{\sigma}{M}\right)^2 \cdot \delta M^2 + \left(\frac{\sigma}{r}\right)^2 \cdot \delta r^2 + \left(\frac{\sigma}{\epsilon}\right)^2 \cdot \delta \epsilon^2 + \left(\frac{\sigma}{\phi}\right)^2 \cdot \delta \phi^2$$