



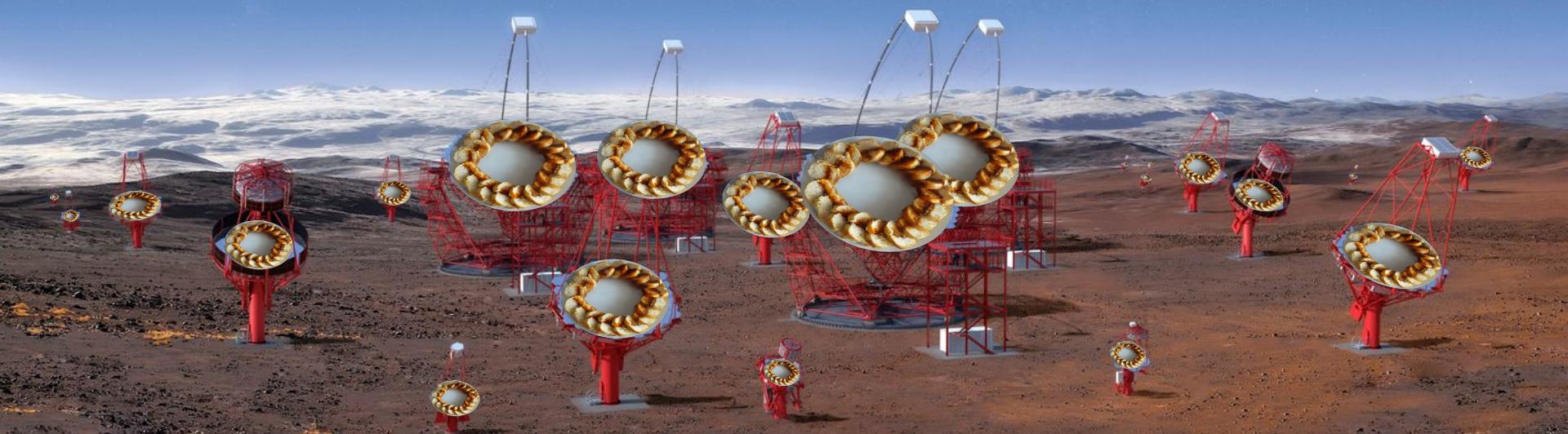
Laboratoire d'Annecy de Physique des Particules

Lorentz invariance violation search with the Large-Sized Telescope-1 of CTA

Journées jeunes chercheurs 2023

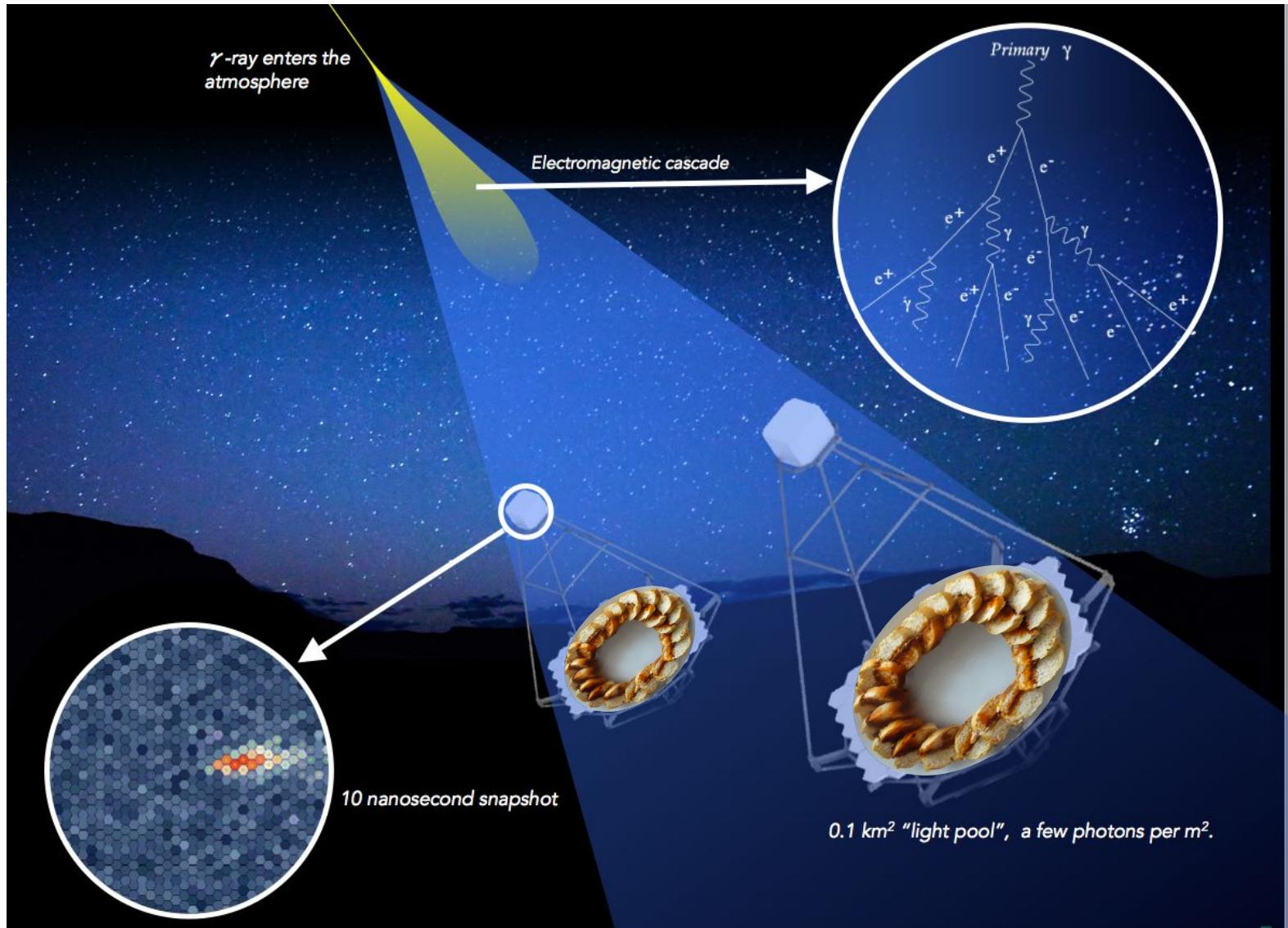
Cyann Plard, with Sami Caroff

- Next generation of Cherenkov préfous
- Tens of préfous split into 2 geographic sites : North (La Palma, Spain) and South (Chile)
- 3 types of préfous
- One préfou constructed so far : the Large-Sized Telescope-1 (LST-1)

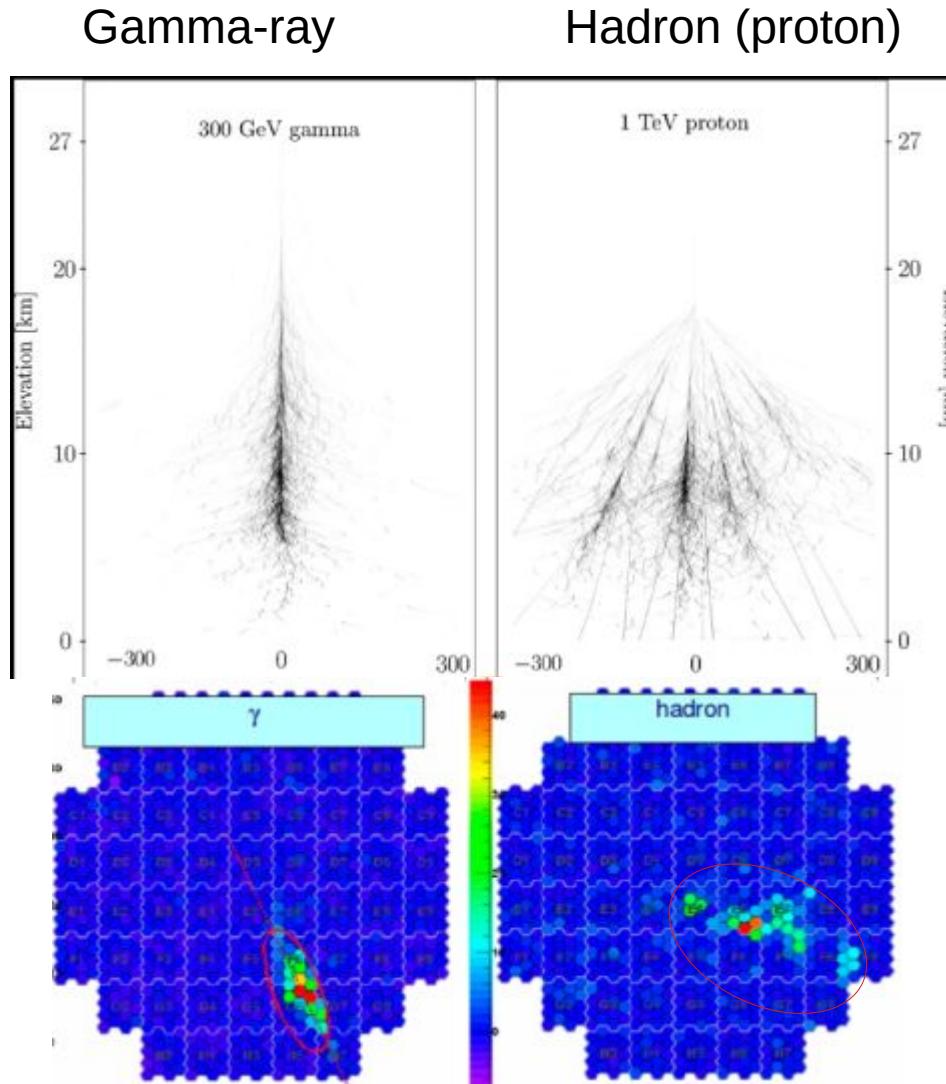


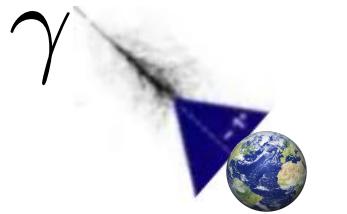
CTA/M-A. Besel/IAC (G.P. Diaz)/ESO

Indirect detection : Cherenkov astronomy



Cherenkov astronomy : hadronic background





Cherenkov light

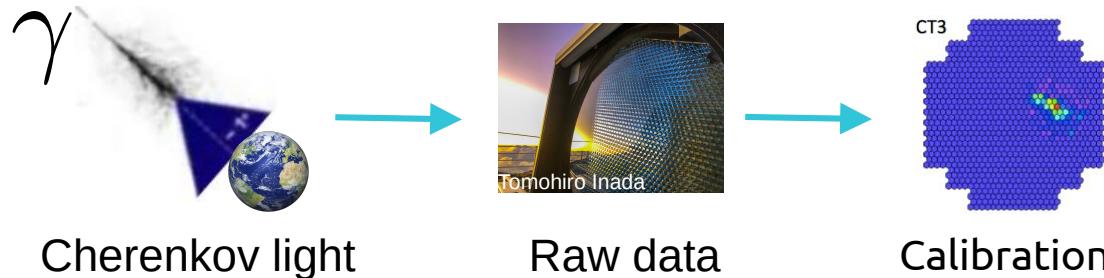


Cherenkov light

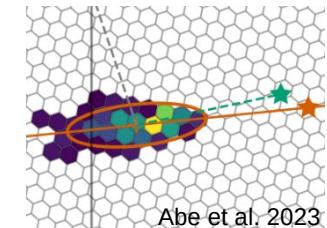
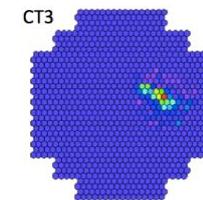


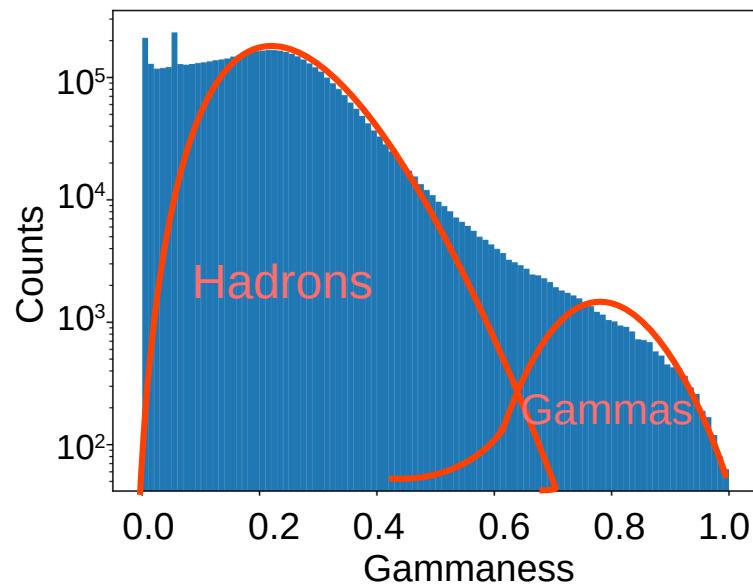
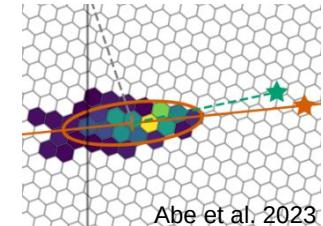
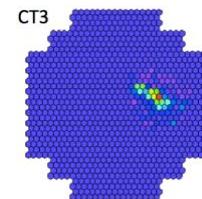
Raw data

The data production chain



The data production chain



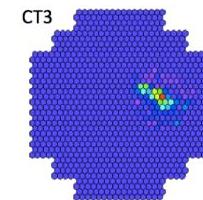


Gammaness
score indicating how
likely the primary event
is a gamma ray

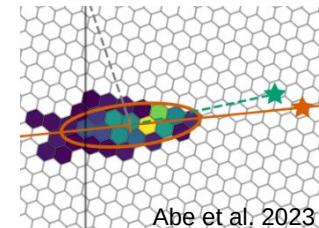
The data production chain



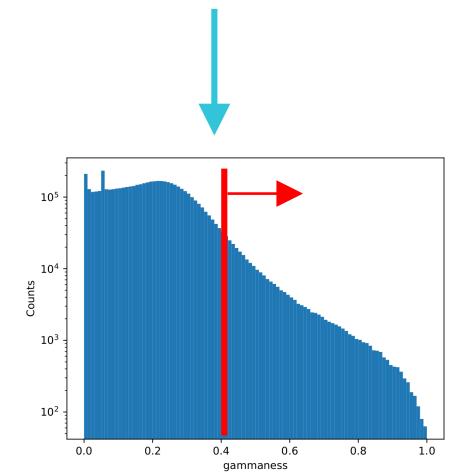
Raw data



Calibration

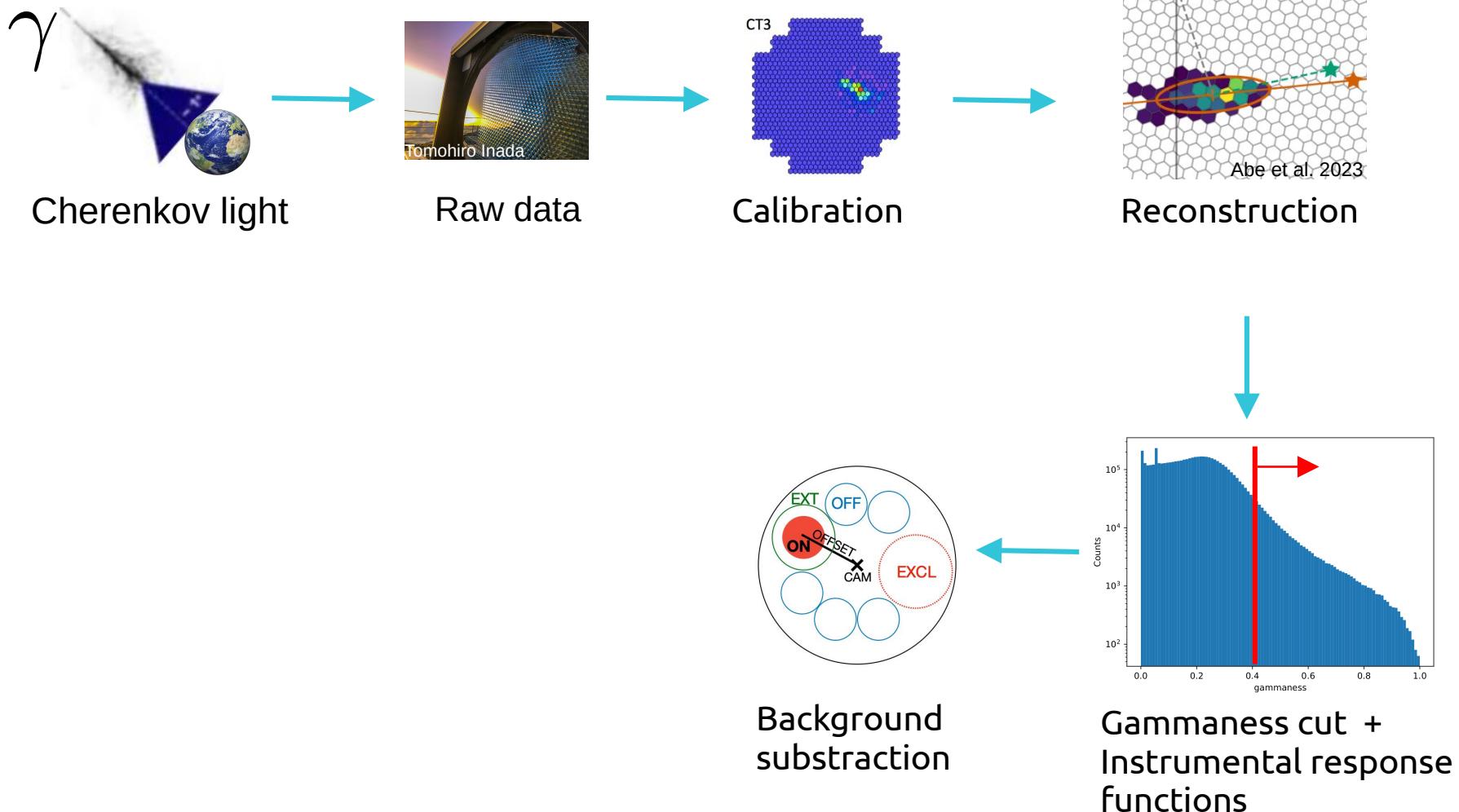


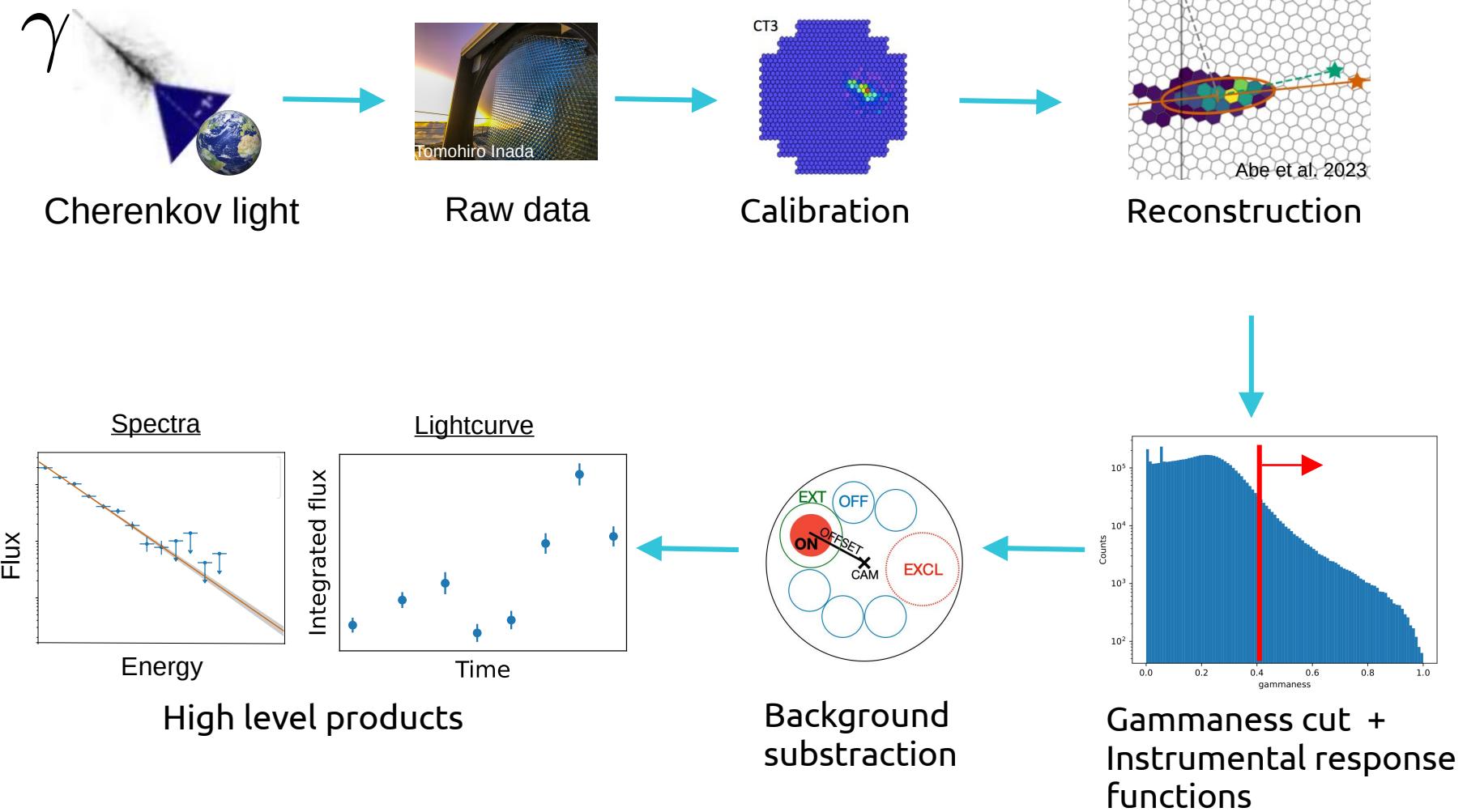
Reconstruction



Gammaness cut +
Instrumental response
functions

The data production chain





- Unification of general relativity and quantum field theory

Difficulties at Planck scale $E_P \sim 10^{19} \text{ GeV}$

→ quantization of space-time

- Some quantum gravity theories allow a violation of Lorentz invariance
 - may be observable



Lorentz invariance : speed of light c in vacuum is a constant

- Quantization of space-time

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- Modification of the dispersion relation : $E^2 = p^2c^2 \times \left[1 \pm \sum_{n=1}^{\infty} \alpha_n \left(\frac{E}{E_{QG}} \right)^n \right]$

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$$\downarrow v = \frac{\partial E}{\partial p}$$

- Energy-dependency of the photon velocity $v(E)$: Lorentz invariance violation (LIV)

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- Two photons i and j with $E_j > E_i$ arrive with $\Delta t = t_j - t_i$

Lorentz invariance : speed of light c in vacuum is a constant

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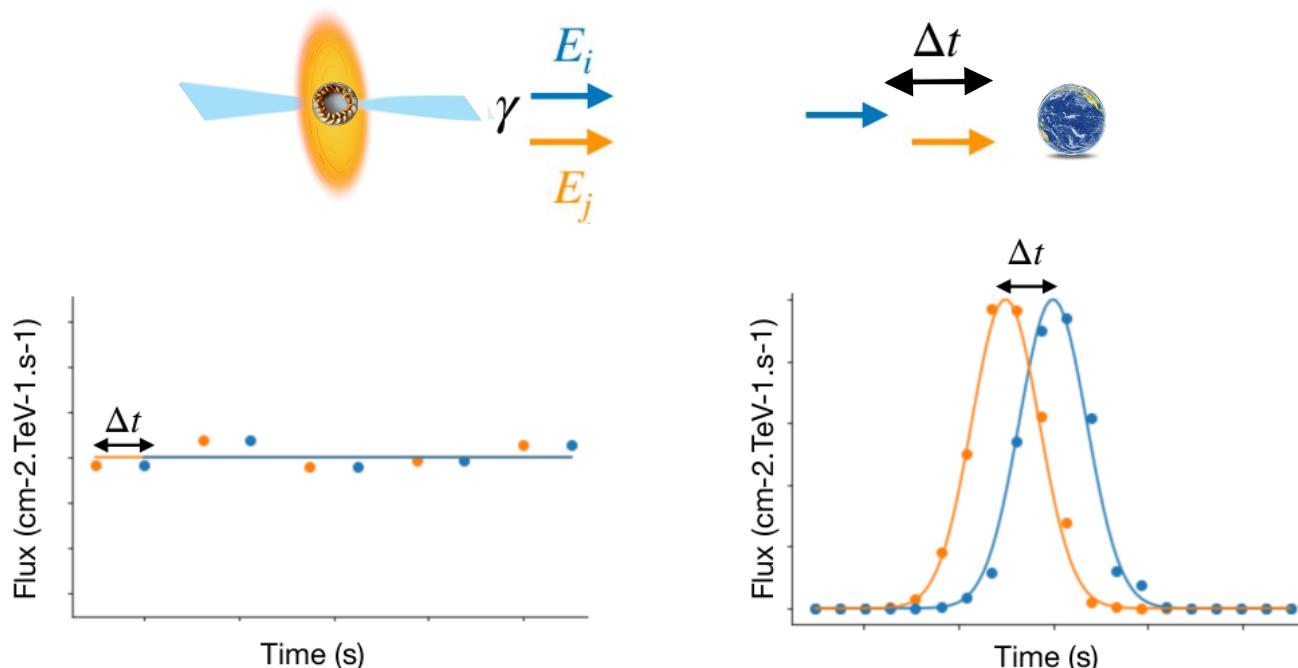
- Measurement of $\lambda_n = \frac{\Delta t_n}{\Delta E_n \kappa_n(z)} = \pm \frac{n+1}{2H_0 E_{QG}^n}$

Search for $E_{QG,lim}^n$ for $n = 1$

- Large range of energy
- Cosmological distance
- Highly variable and active source

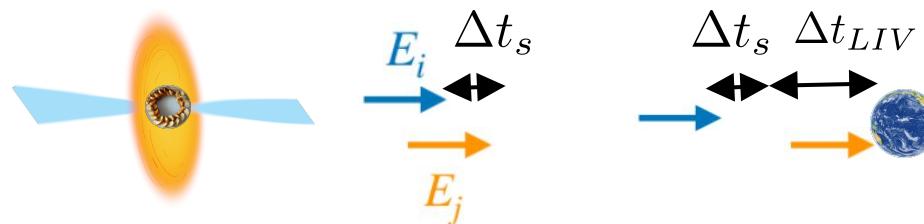
→ Blazars, gamma-ray bursts, pulsars

$$\Delta t = \pm \frac{n+1}{2} \frac{\Delta E^n}{E_{QG}^n} \times \kappa_n(z)$$



- No guarantee that photons are emitted at the same time
→ Intrinsic source delay :

$$\Delta t = \Delta t_{LIV} + \Delta t_{source}$$



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 - Intrinsic source delay : redshift-independent, source and flare-dependent (stochastic)
 - LIV : redshift-dependent, source and flares-independent

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 - LIV : redshift-dependent, source and flares-independent
- Combination of different flares and different sources
Consortium between different experiments : H.E.S.S., MAGIC, VERITAS, LST-1

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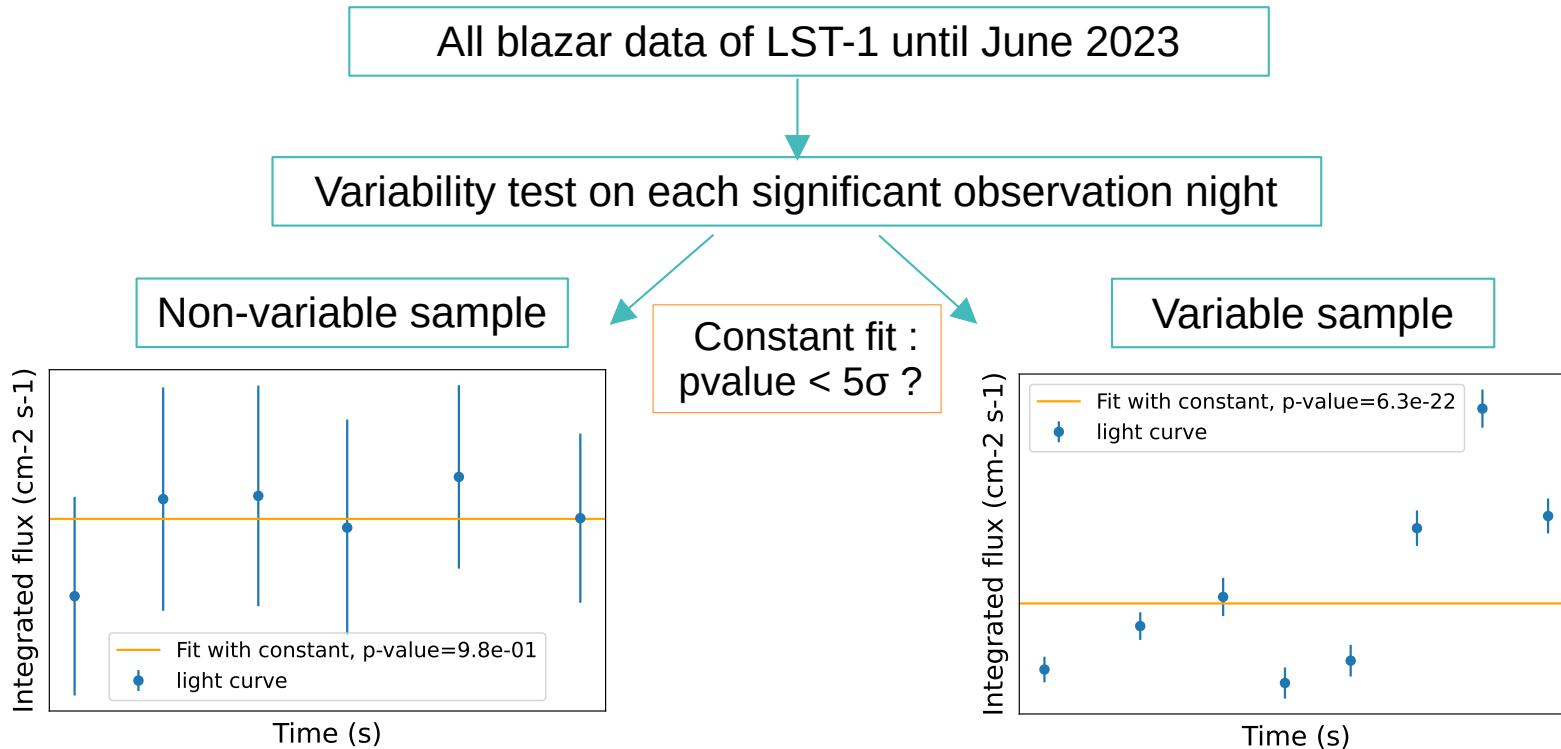
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Consortium between different experiments : H.E.S.S., MAGIC, VERITAS, LST-1
- None of these delays have been observed at TeV scale

All blazar data of LST-1 until June 2023

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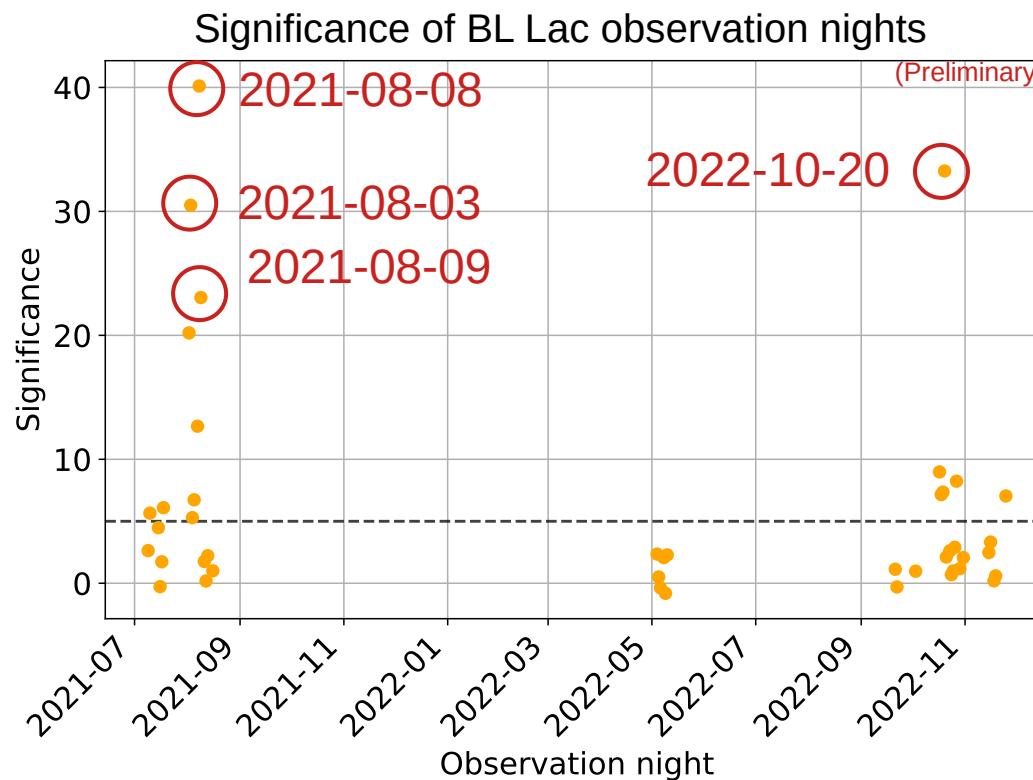
Variability test on each significant observation night



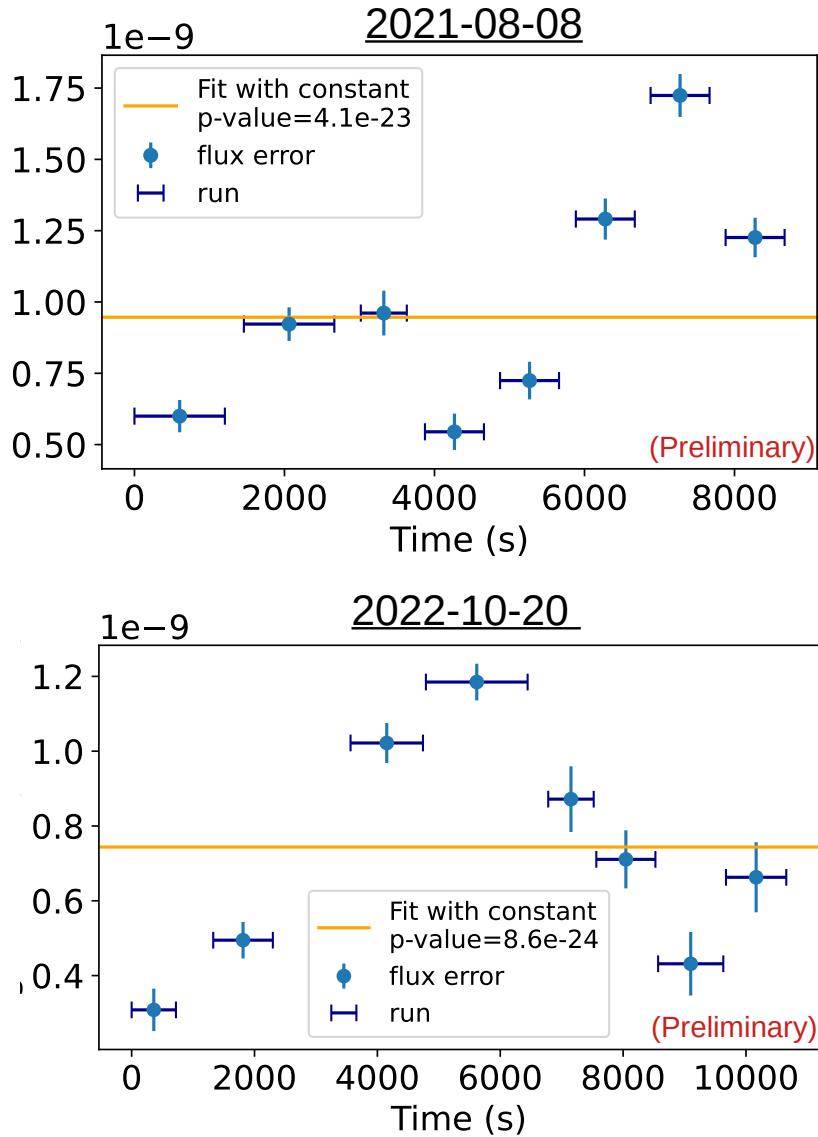
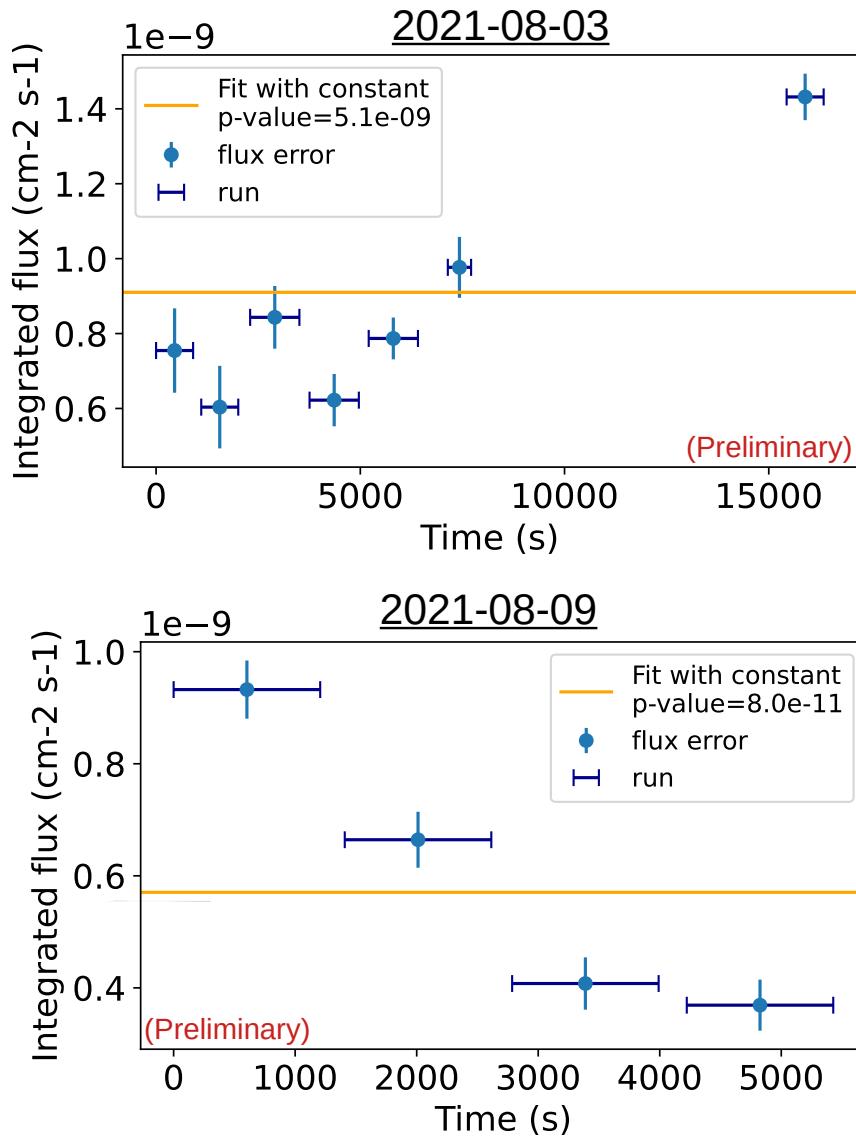
All blazar data of LST-1 until June 2023

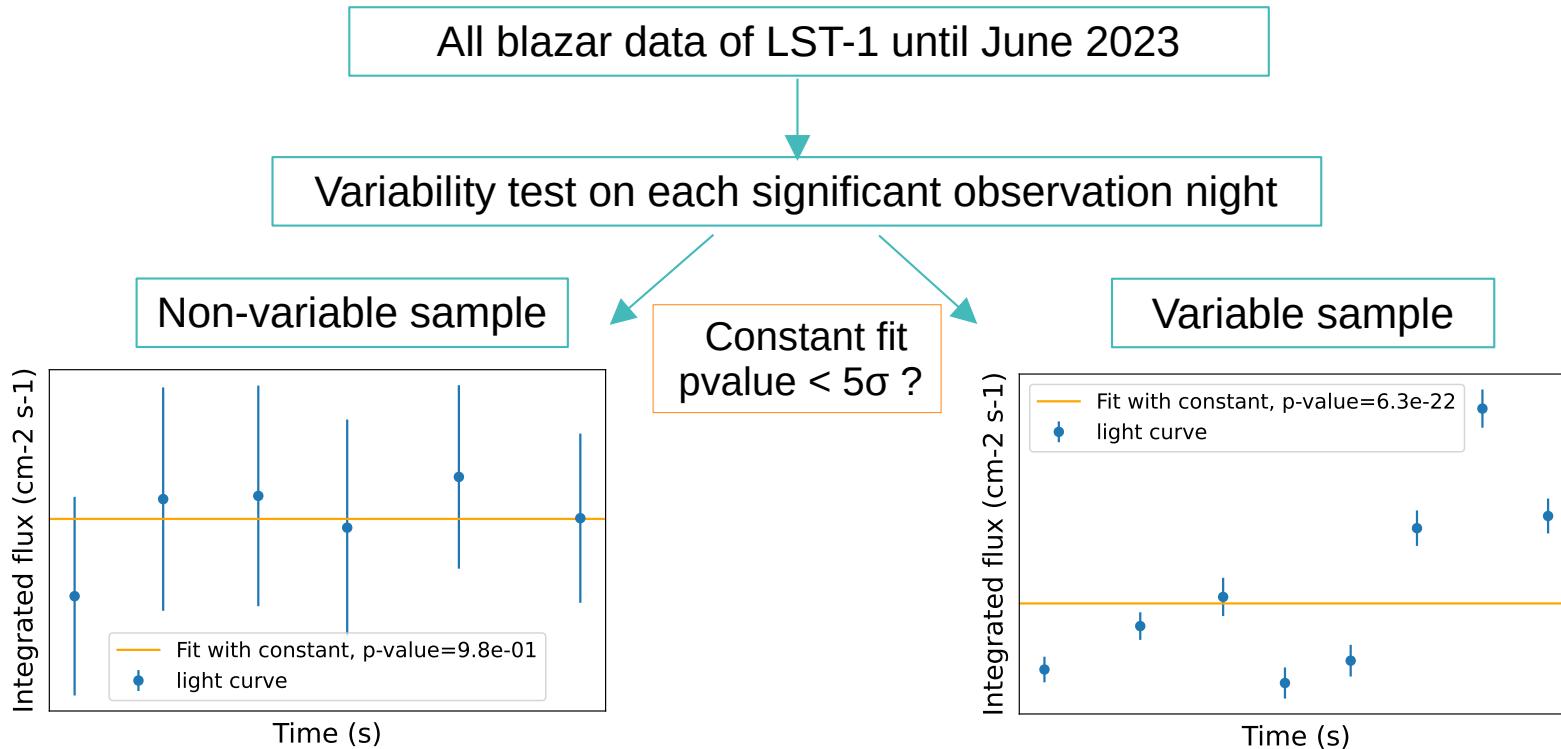


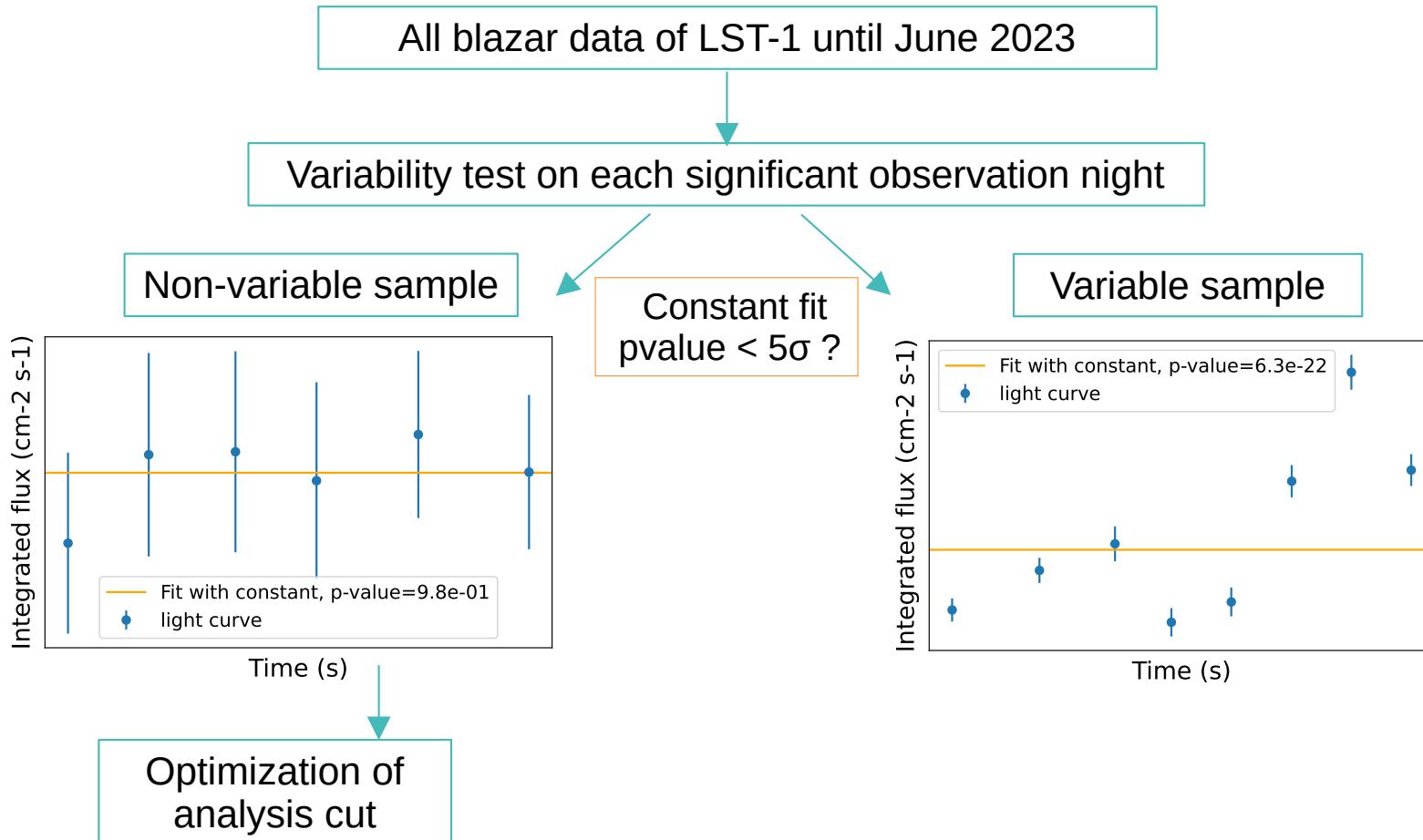
Found 1 variable source : BL Lacertae, redshift 0.069 with 4 variable nights

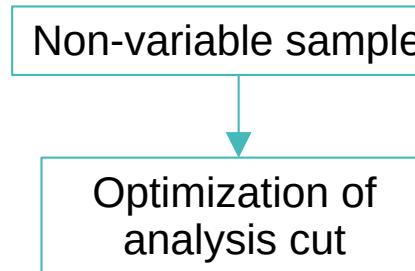


Lightcurves of BL Lac variable nights



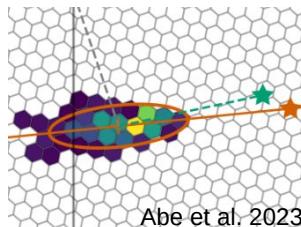




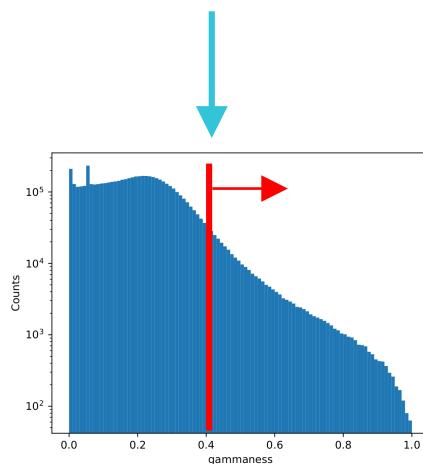


Non-variable sample

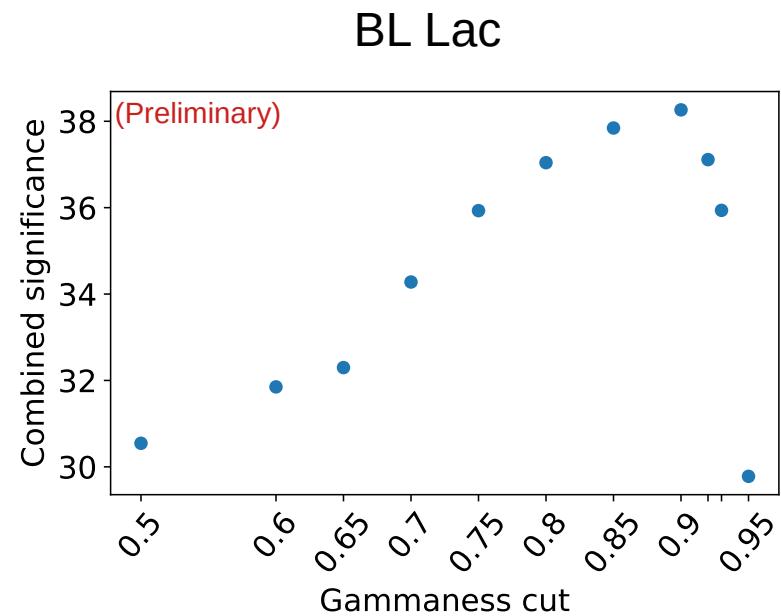
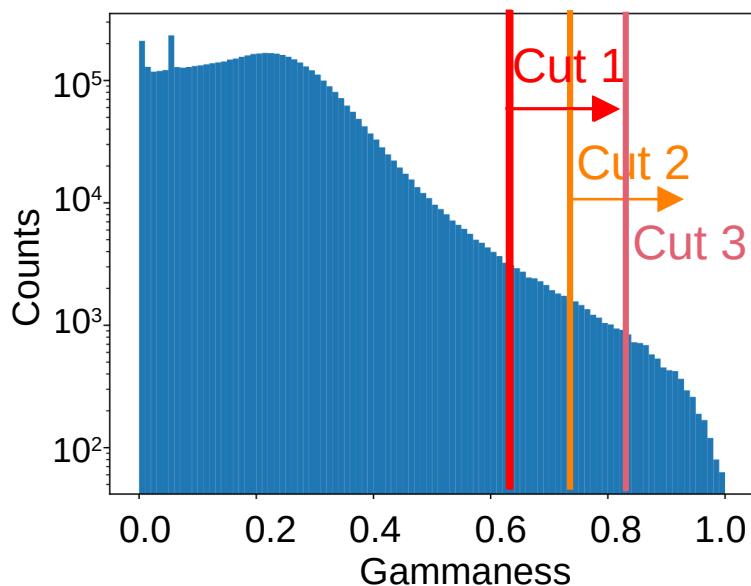
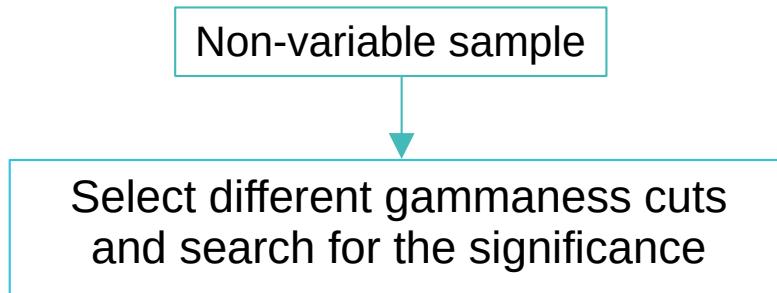
Optimization of
analysis cut



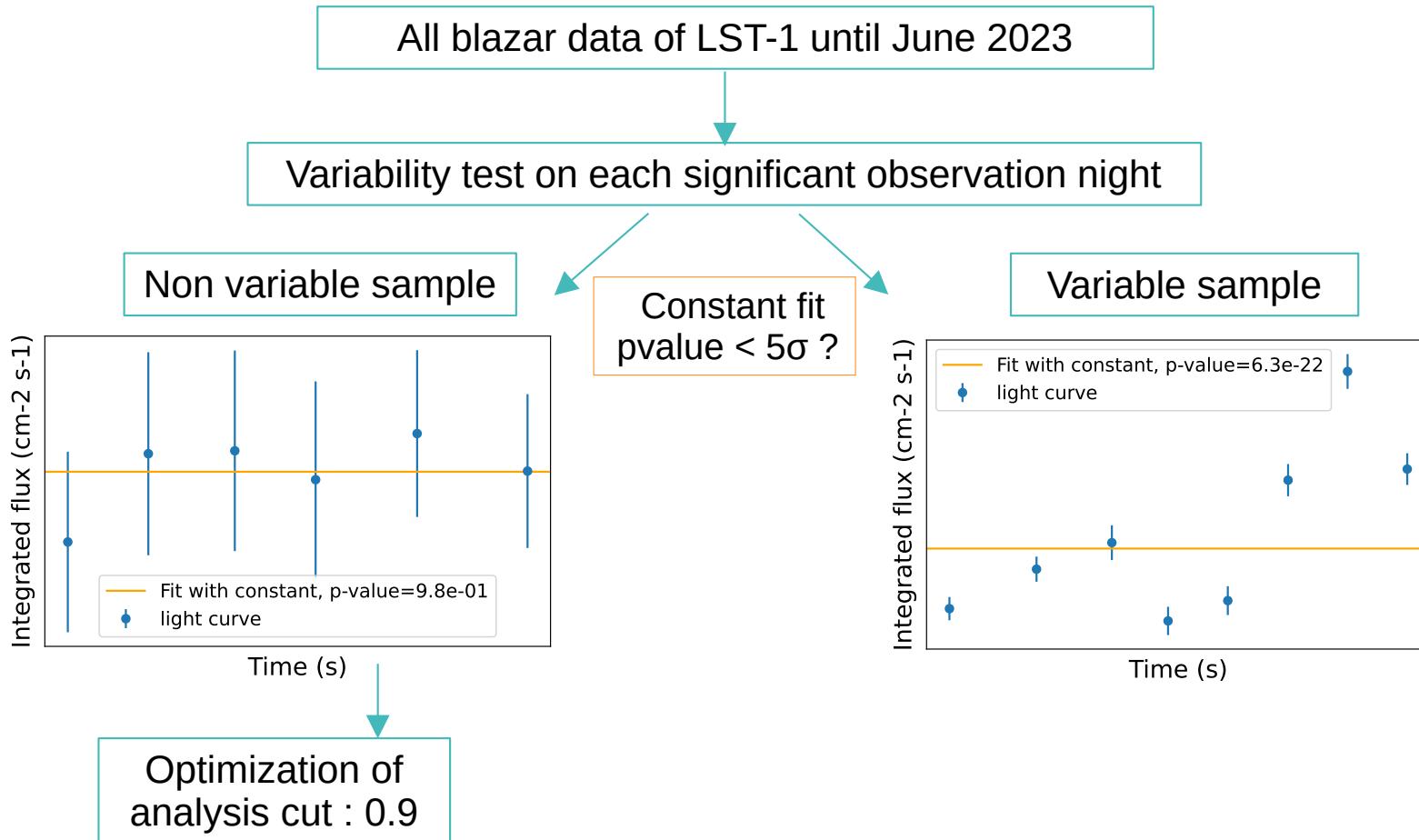
Reconstruction

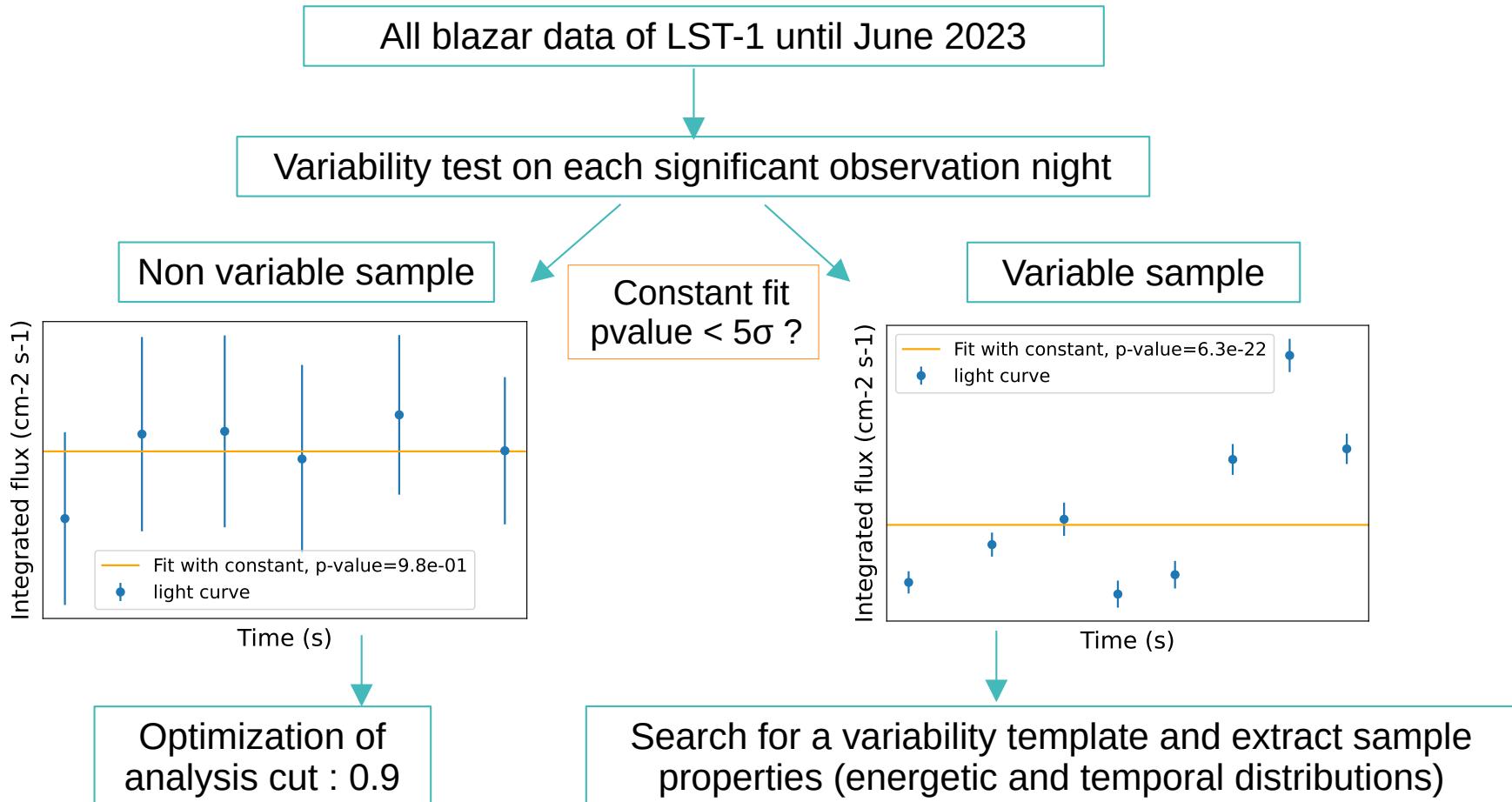


Gammaness cut



$$S_{cut} = \sqrt{\sum_{non-var\ night} S_n^2}$$

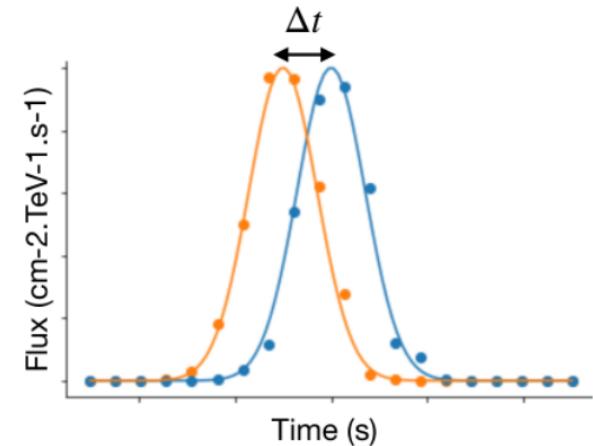
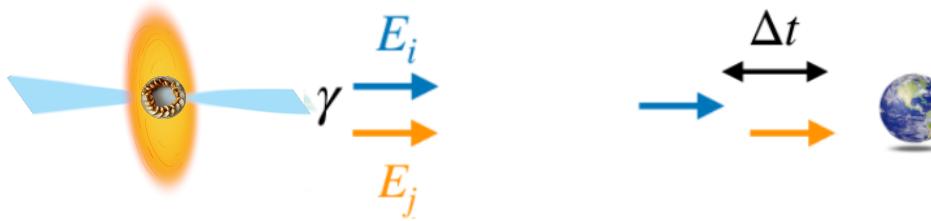




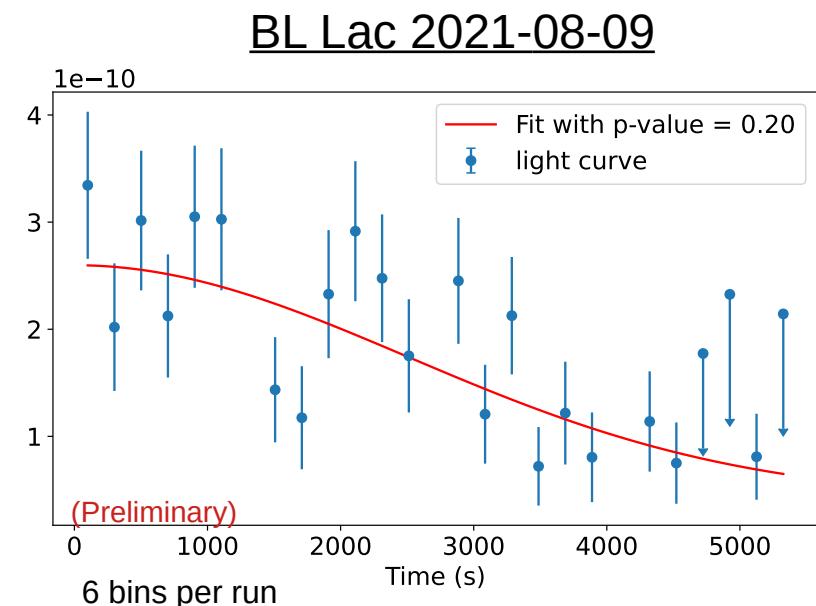
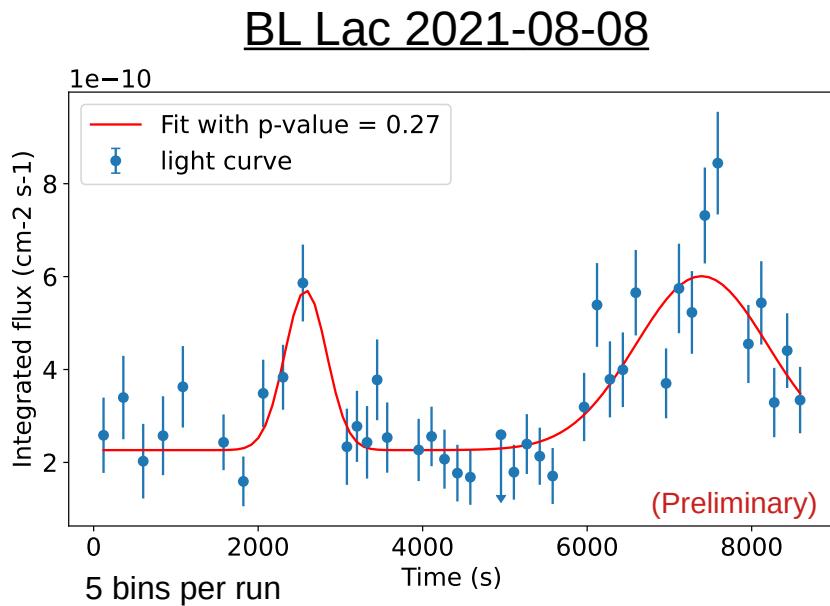
Search for a variability template and extract sample properties (energetic and temporal distributions)



- Define two energy bins : **lower** and **higher** than median of counts
- Find a parametric model for the lightcurve of the low energies sample : selected if p-value > 0.05 (2σ)
- No significant disagreement between low and high energies
- No significant time-variation of spectra (flux vs energy) parameters



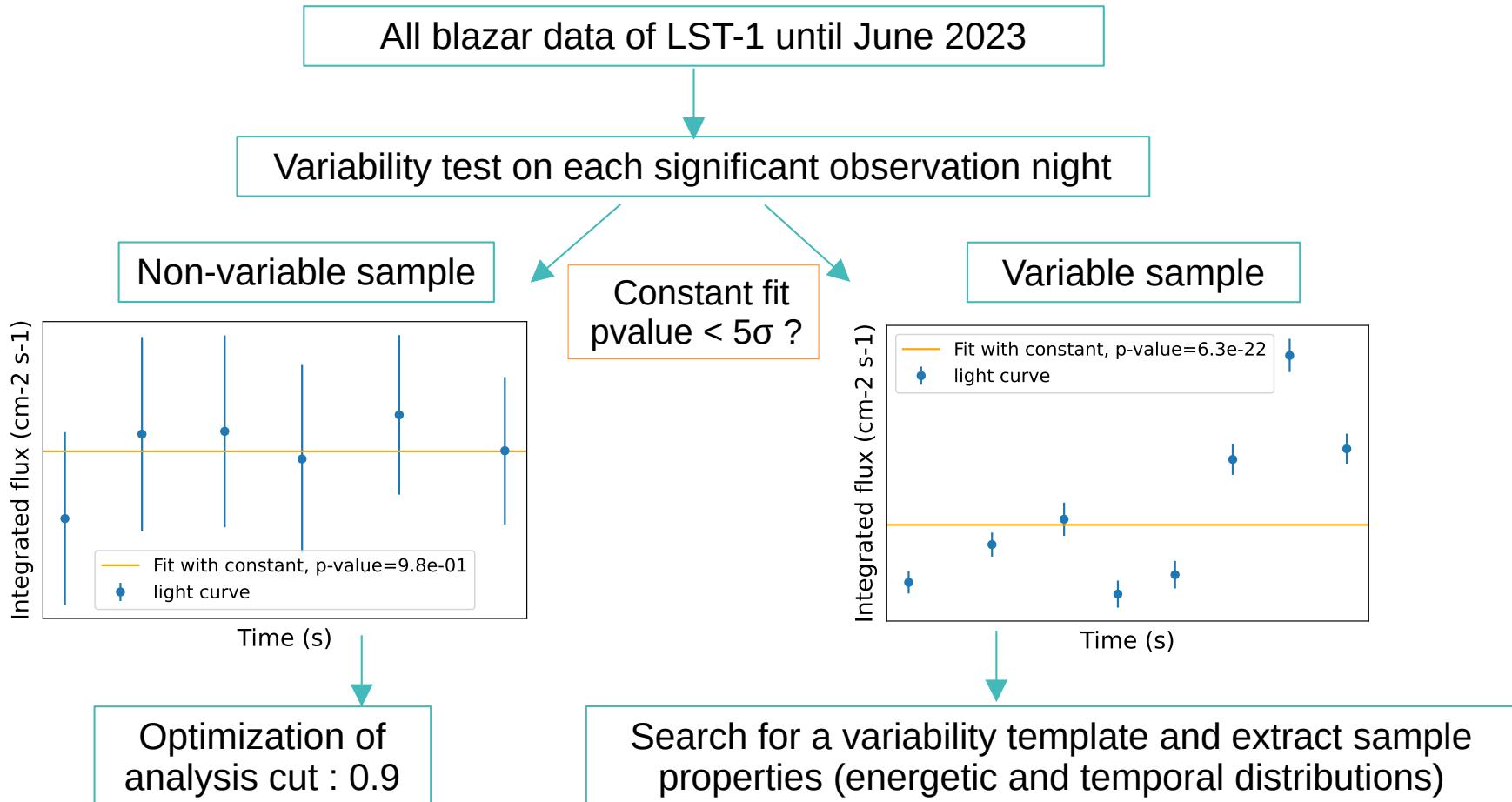
Parametric models of the low energies variability

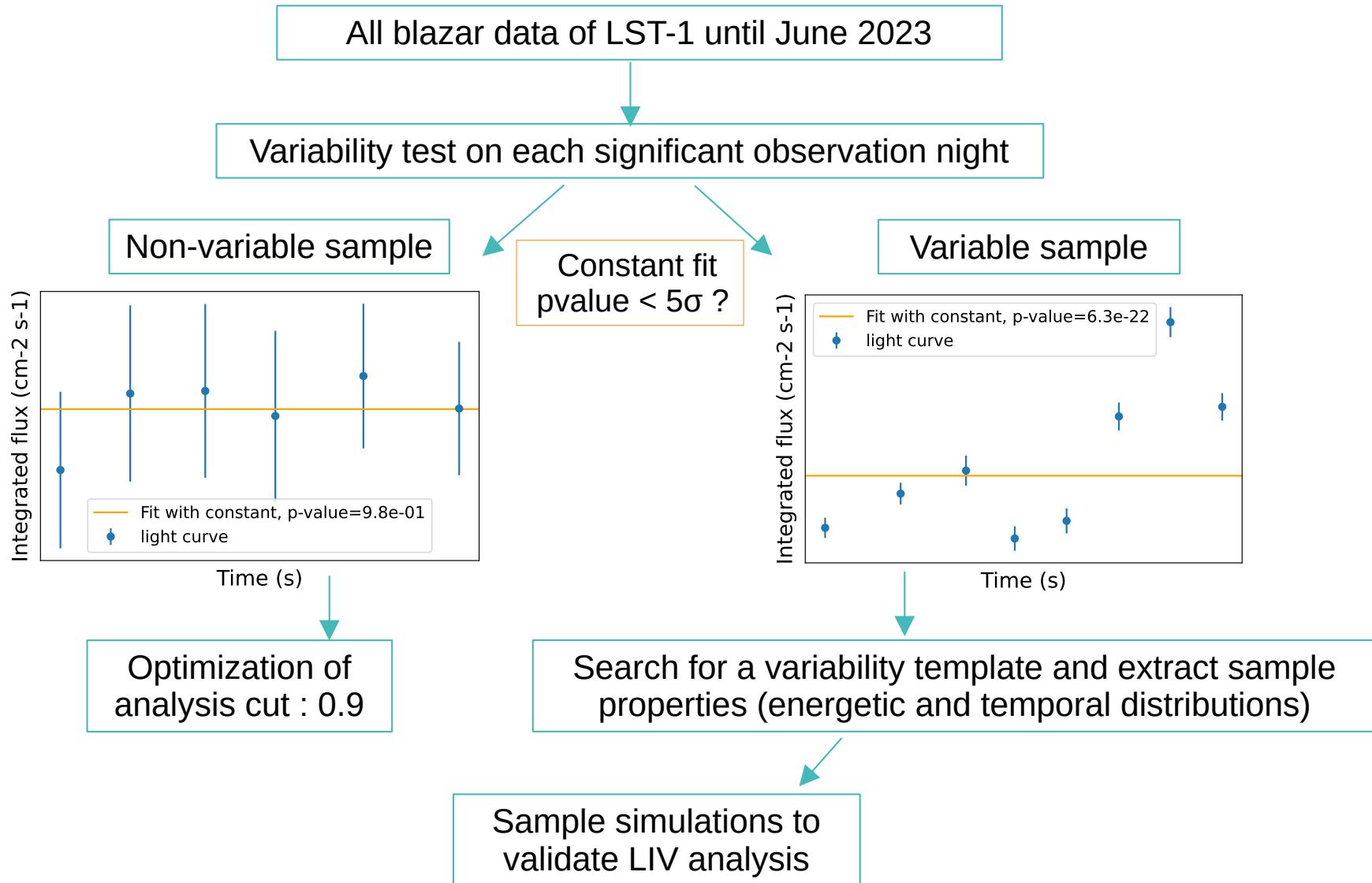


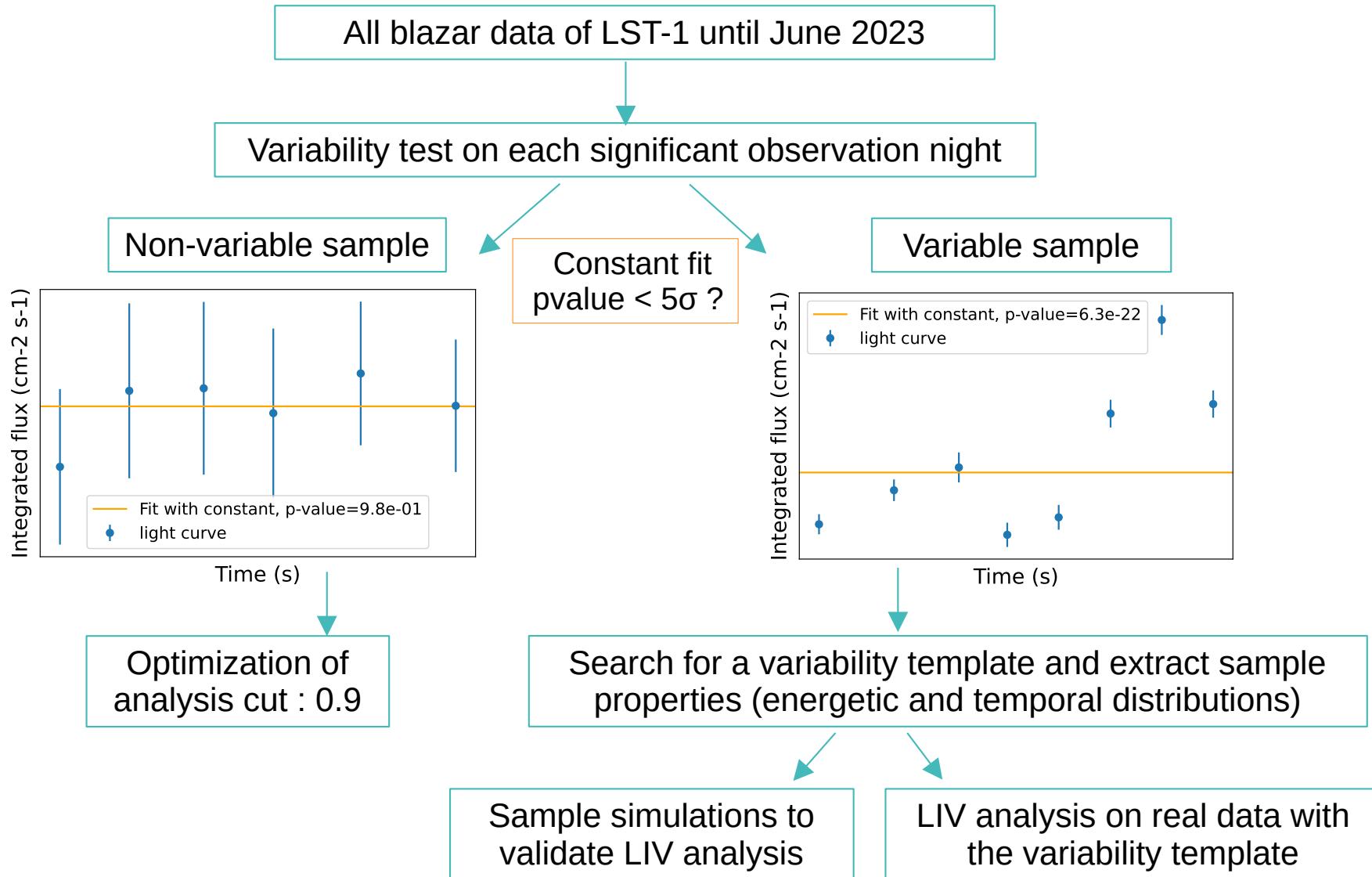
$$f(t) = A_1 e^{-\frac{(t-\mu_1)^2}{2\sigma_1^2}} + A_2 e^{-\frac{(t-\mu_2)^2}{2\sigma_1^2}} + C_0$$

$$g(t) = A e^{-\frac{(t-\mu)^2}{2\sigma^2}} + C$$

p-value > 0.05 (2 σ)







Sample simulations to validate LIV analysis

LIV analysis on real data with the variability template

LIVelihood

- Code developped for time lag study and combination of different experiments data
- Uses the likelihood method :
the time lag is a free parameter that can be shared between sources with different redshift and that minimizes the likelihood function :

$$\mathcal{L}(\lambda_n) = - \sum_{\text{event i}} \log \left(\frac{dP(E_{R,\mathbf{i}}, t_{\mathbf{i}}; \lambda_n)}{dE_R dt} \right)$$

Lag λ_n : free parameter, can be shared between sources with different redshifts

For one night : $\mathcal{L}(\lambda_n) = - \sum_{\text{event i}} \log \left(\frac{dP(E_{R,\mathbf{i}}, t_{\mathbf{i}}; \lambda_n)}{dE_R dt} \right)$

with $\frac{dP}{dE_R dt} = W_s \frac{\int E_{\text{ff}} A(E_T, \vec{\epsilon}) \text{MM}(E_T, E_R) \times F_s(E_T, t; \lambda_n) dE_T}{N'_s}$

$$+ \sum_k W_{b,k} \frac{\int E_{\text{ff}} A(E_T, \vec{\epsilon}) \text{MM}(E_T, E_R) \times F_{b,k}(E_T) dE_T}{N'_{b,k}}$$

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Signal

$+ \sum_k W_{b,k} \frac{\int E_{\text{ff}} A(E_T, \vec{\epsilon}) \text{MM}(E_T, E_R) \times F_{b,k}(E_T) dE_T}{N'_{b,k}}$

Backgrounds k : hadrons and baseline

Lag λ_n : free parameter, can be shared between sources with different redshifts

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↓
Instrumental response functions
↑
 $+ \sum_k W_{b,k} \frac{\int \text{EffA}(E_T, \vec{\epsilon}) \text{MM}(E_T, E_R) \times F_{b,k}(E_T) dE_T}{N'_{b,k}}$

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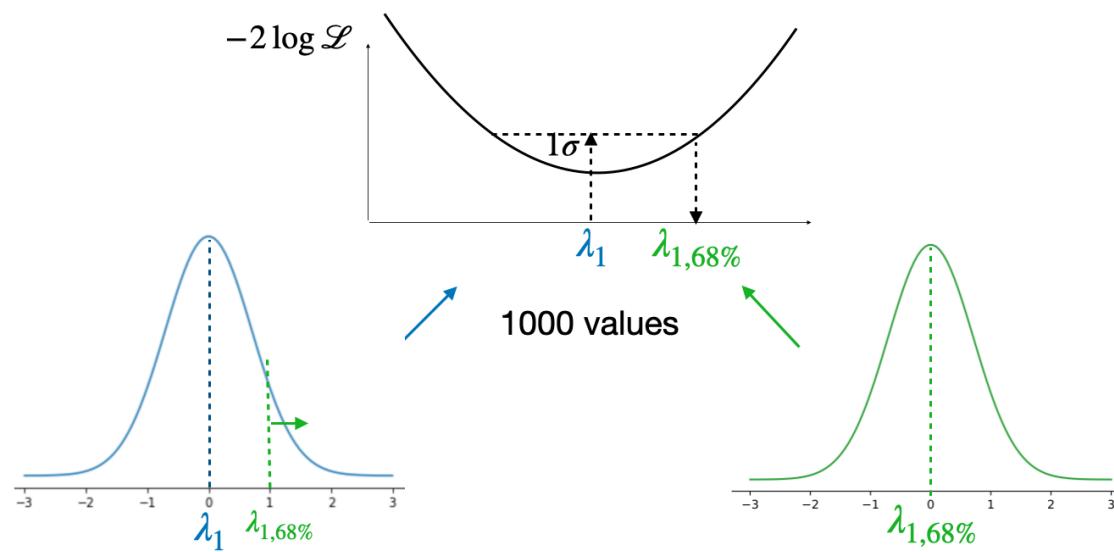
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\downarrow
Lightcurve x spectra
 \uparrow

$$+ \sum_k W_{b,k} \frac{\int E_{\text{ff}} A(E_T, \vec{\epsilon}) \text{MM}(E_T, E_R) \times F_{b,k}(E_T) dE_T}{N'_{b,k}}$$

Sample simulations to validate LIV analysis

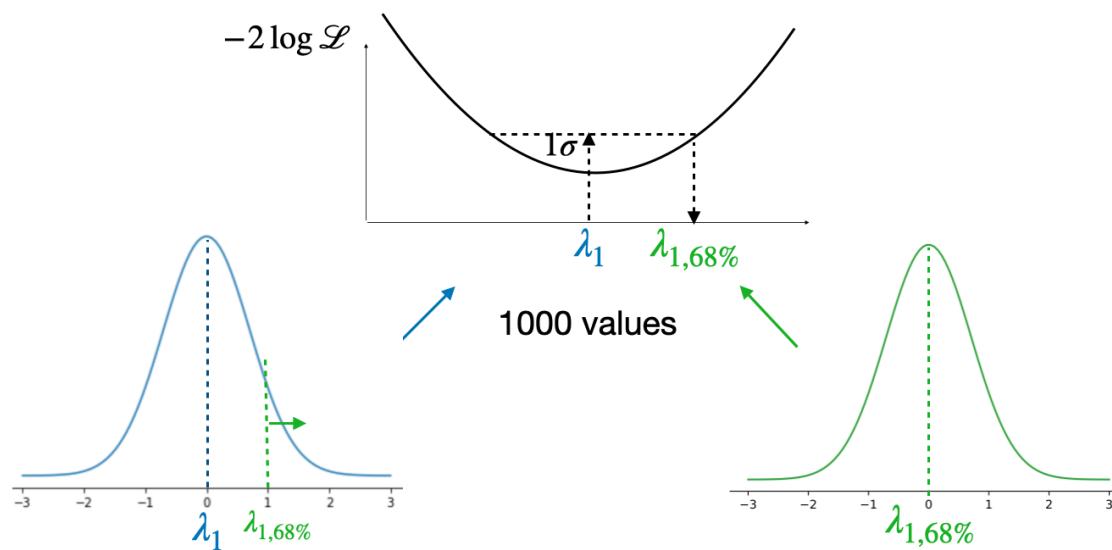
- Perform 1000 dataset simulations



Sample simulations to validate LIV analysis



- Perform 1000 dataset simulations
- Calibration : inject lag to verify that LIVelihood reconstructs it well

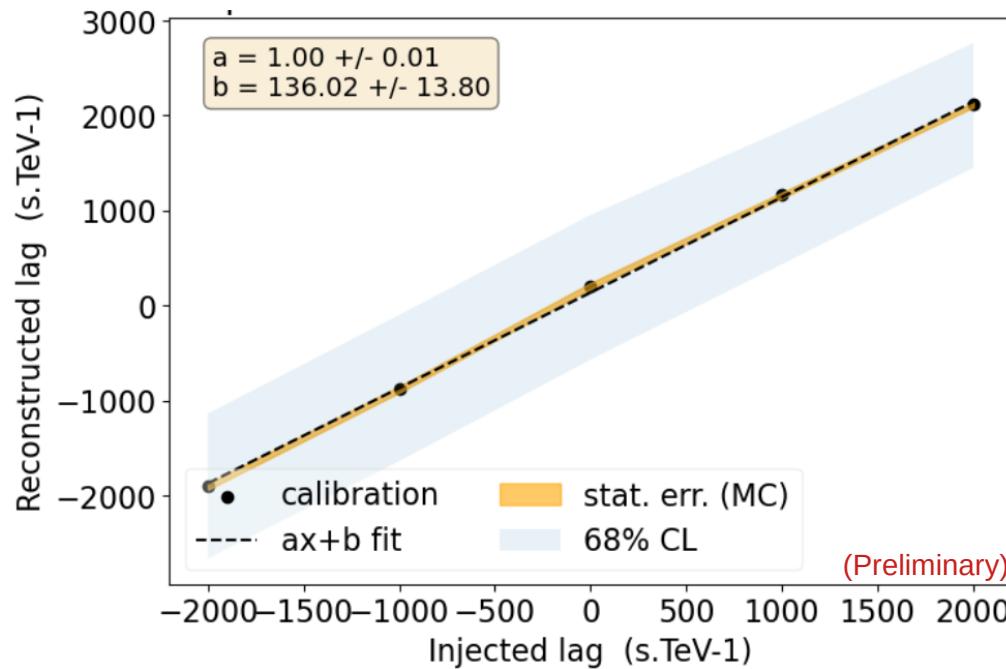


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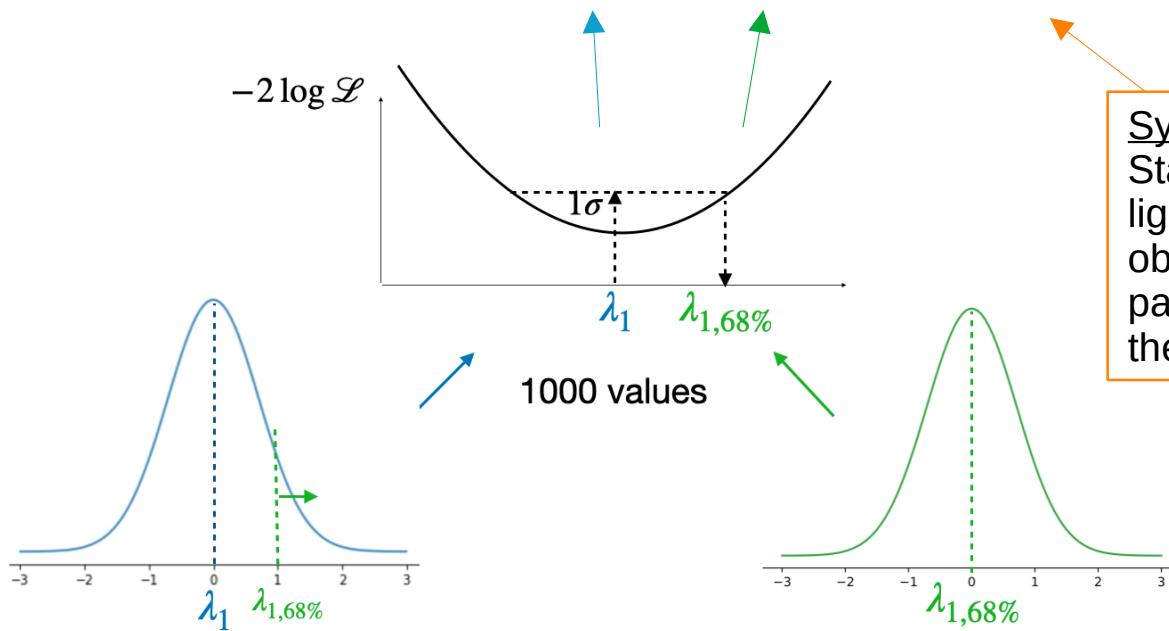
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BL Lac 2021-08-08 and 08-09 combined



LIV analysis on real data

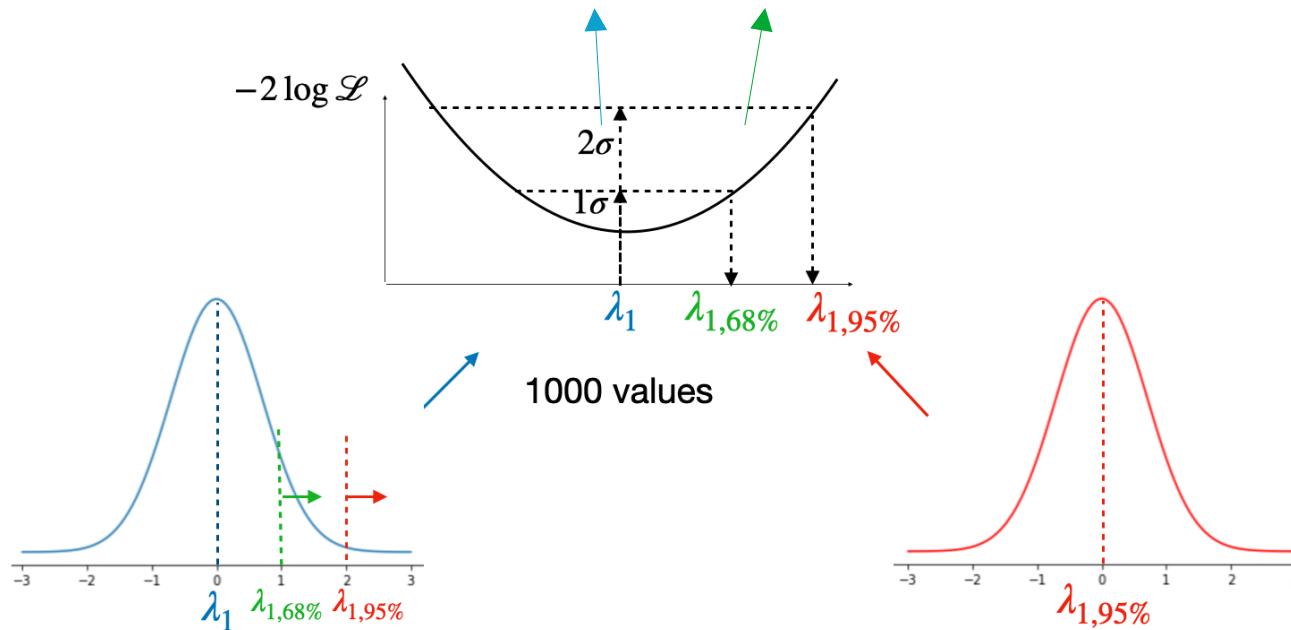
$$\text{Time delay} : \lambda_1 = (2060 \pm \frac{2811}{2899} \pm \frac{2479}{2143}) \text{s.TeV}^{-1}$$



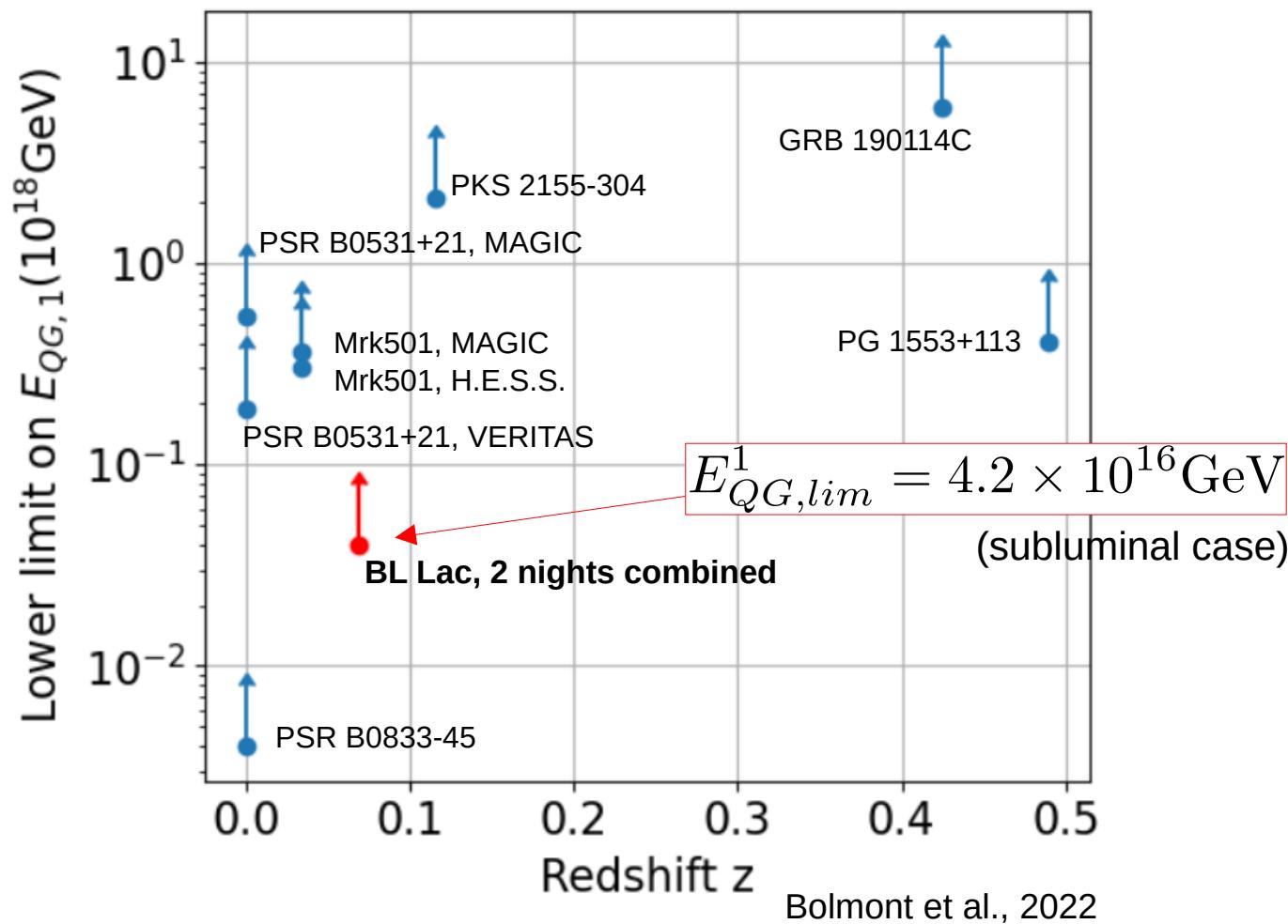
Systematics :
Statistical uncertainty of the light curve template : obtained by letting all parameters free in each of the 1000 simulations

LIV analysis on real data

Time delay : $\lambda_1 = (2060 \pm \frac{2811}{2899} \pm \frac{2479}{2143}) \text{s.TeV}^{-1}$



Use $\lambda_{1,95\%} = \pm \frac{n+1}{2H_0 E_{QG,lim}^1}$ to extract : $E_{QG,lim}^1 = 4.2 \times 10^{16} \text{GeV}$
 (subluminal case)

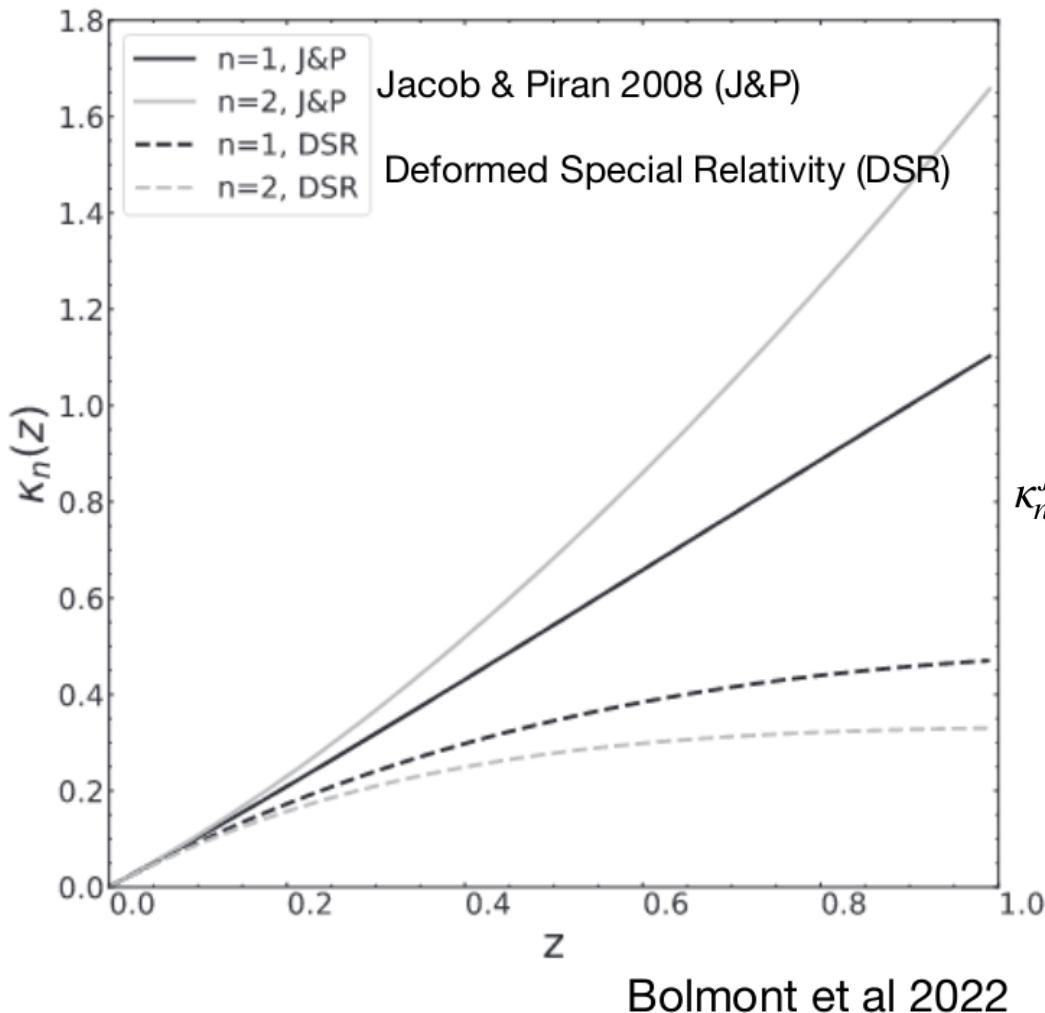


- Analysed all LST database on blazars, searching for variability
- Combined 2 variable nights of BL Lac to extract a limit on E_{QG} at the order n=1 on real data

Ongoing work :

- Combine with the BL Lac 2022-10-20 night
- Combination of LST data with the consortium data





$$\kappa_n^{J\&P}(z) = \frac{1}{z_0} \int_0^z \frac{(1+z')^n}{\sqrt{\Omega_m(1+z')^3 + \Omega_\Lambda}} dz'$$

Lag λ_n : free parameter, can be shared between sources with different redshifts

For one night : $\mathcal{L}(\lambda_n) = - \sum_{\text{event i}} \log \left(\frac{dP(E_{R,\mathbf{i}}, t_{\mathbf{i}}, \lambda_n)}{dE_R dt} \right)$

with $\frac{dP}{dE_R dt} = W_s \frac{\int \text{EffA}(E_T, \vec{\epsilon}) \text{MM}(E_T, E_R) \times F_s(E_T, t; \lambda_n) dE_T}{N'_s}$

Signal

$+ \sum_k W_{b,k} \frac{\int \text{EffA}(E_T, \vec{\epsilon}) \text{MM}(E_T, E_R) \times F_{b,k}(E_T) dE_T}{N'_{b,k}}$

Backgrounds k : hadrons and baseline

Lightcurve x spectra

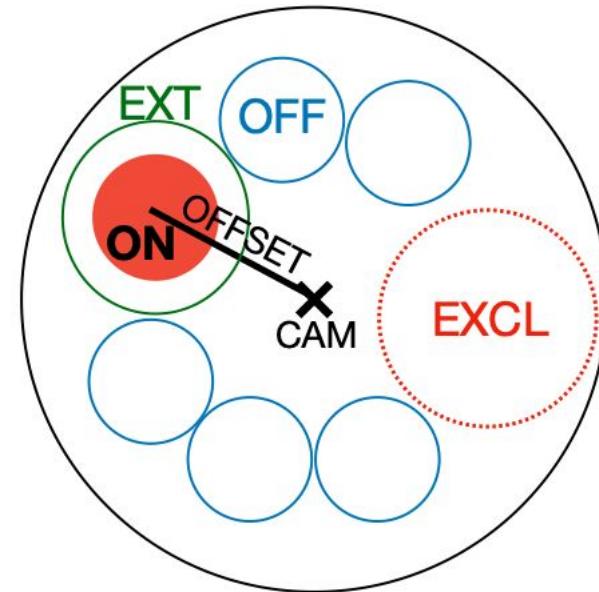
$$\mathcal{L}(\lambda_n) = - \sum_i \log \left(\frac{dP(E_{R,i}, t_i, \lambda_n)}{dE_R dt} \right)$$

$$\begin{aligned} \frac{dP}{dE_R dt} &= W_s \frac{\int \text{EffA}(E_T, \vec{\epsilon}) \text{MM}(E_T, E_R) \times F_S(E_T, t; \lambda_n) dE_T}{N'_s} \\ &+ W_b \frac{\int \text{EffA}(E_T, \vec{\epsilon}) \text{MM}(E_T, E_R) \times F_b(E_T) dE_T}{N'_b} \\ &+ W_h \frac{dN_{off}}{dE_R} \times \frac{1}{T} \times \frac{1}{N'_h} \end{aligned}$$

Reflected region background method

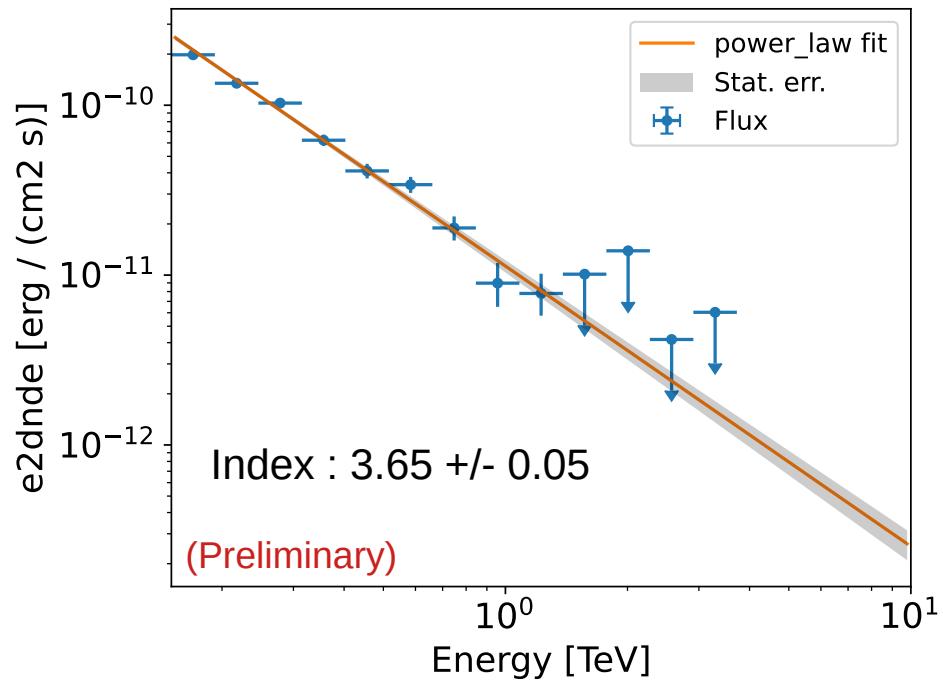
Hypothesis : background is purely radial in the field-of-view.

- X CAM : camera pointing direction
- OFFSET : regions dispersion radius
- ON : source (gammas) + background
- EXT : exclusion of potential remaining source events
- EXCL : exclusion of a potential other source
- OFF : background

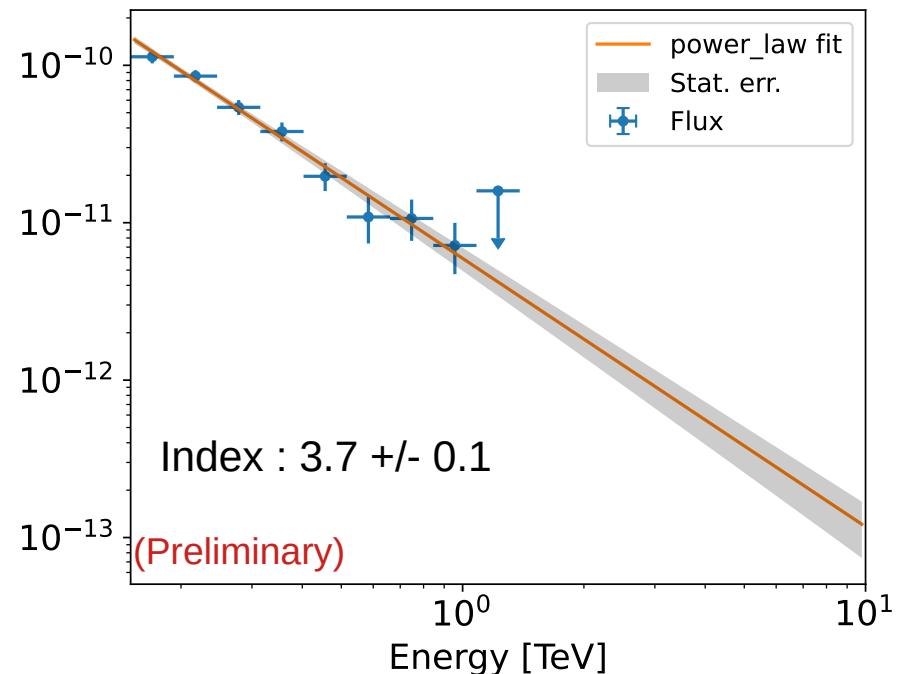


$$N_\gamma = N_{excess} = N_{on} - \frac{1}{n} \sum_n N_{n,off}$$

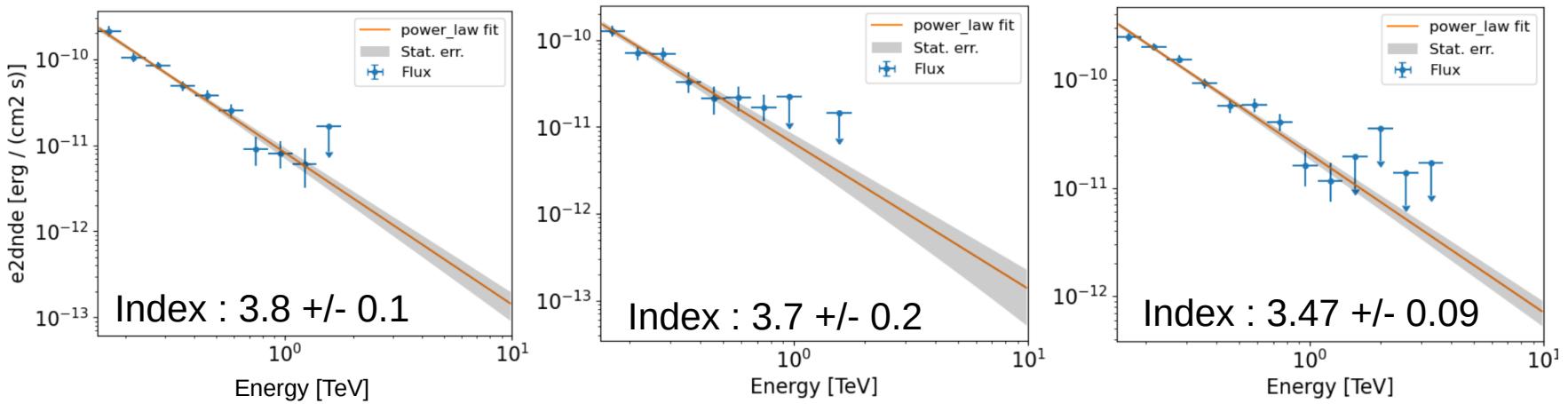
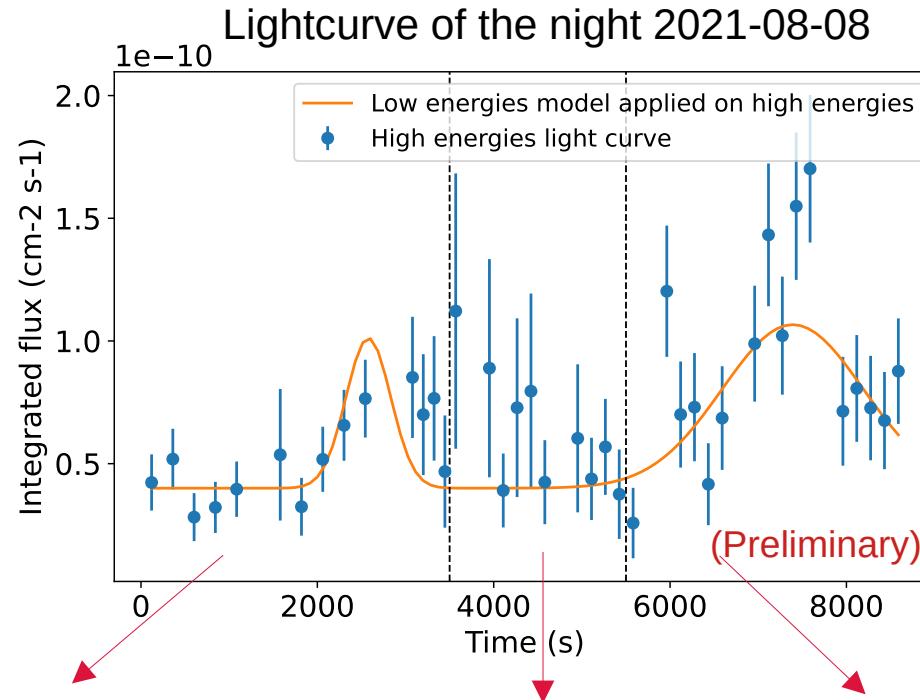
BL Lac 2021-08-08

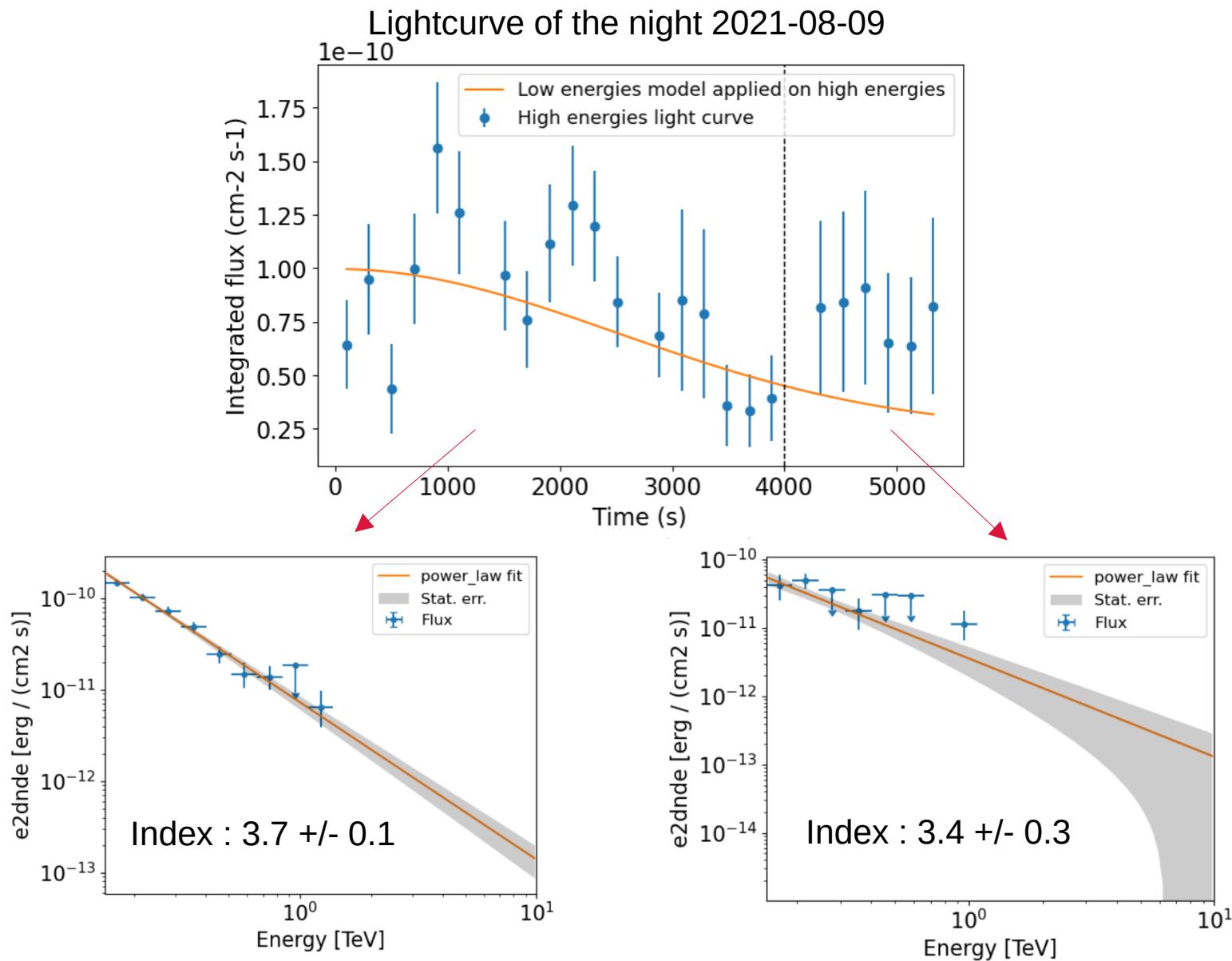


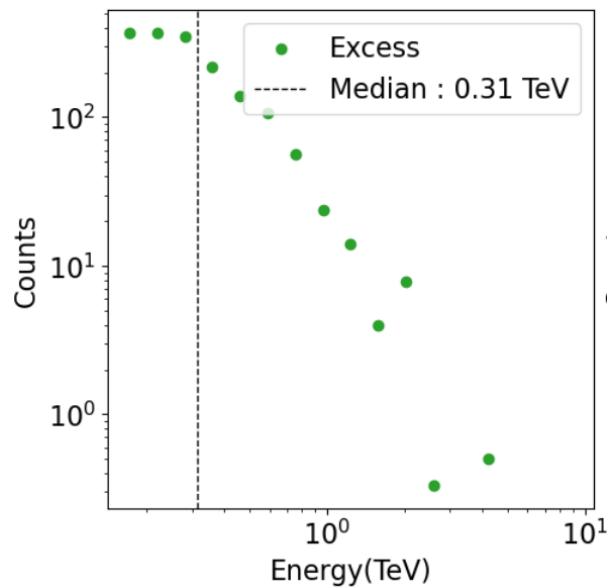
BL Lac 2021-08-09



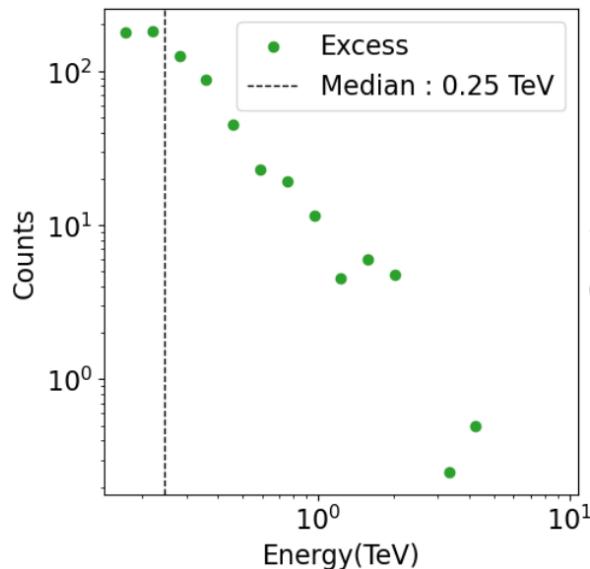
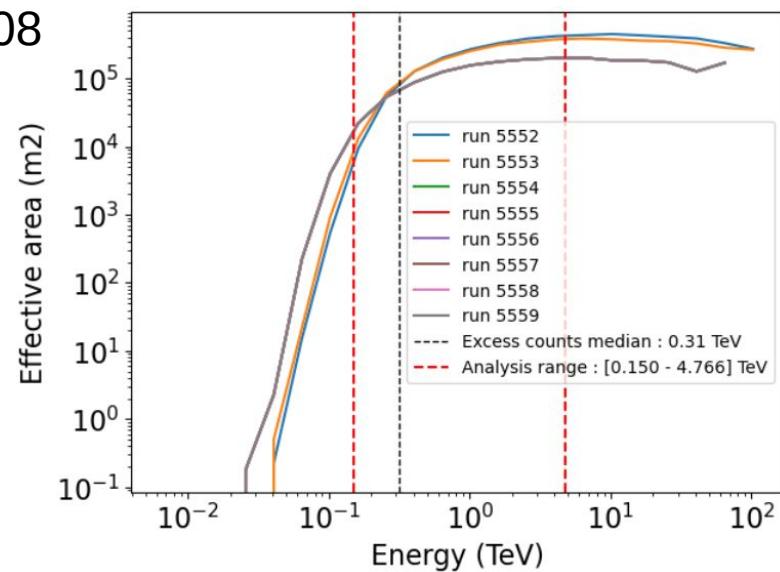
10 bins per decade, ON radius = 0.2°, energy reco : [150GeV , 10TeV]







2021-08-08



2021-08-09

