Precision Measurement of Net-proton Number Fluctuations in Au+Au Collisions at RHIC

University of Science and Technology of China

Introduction $\langle \rangle$

Results from BES-II

Summary and outlook



The 21st International Conference on Strangeness in Quark Matter 3-7 June 2024, Strasbourg, France

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Yifei Zhang (for the STAR Collaboration)

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- Outline
- Experimental analysis

SQM, June 6, 2024





Introduction: QCD Phase Diagram



Key features of phase structure:

- **QGP** and hadronic phase
- Crossover at small μ_B $(\frac{\mu_B}{\tau} < 2)$ compatible to all experimental observations.
- Transition temperature ($T_C \sim 156 \text{ MeV}$) Lattice QCD and verified by exp. chemical freeze-out.
- 1st order phase transition at large μ_B and critical end point (CEP) are conjectured.

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Introduction: QCD Phase Diagram



A. Pandav, D. Mallick, B. Mohanty, PPNP. 125, 103960 (2022)

Experimentally searching and locating CEP is crucial.

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- Transition temperature ($T_C \sim 156 \text{ MeV}$) Lattice QCD and verified by exp. chemical freeze-out.
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- 1st order phase transition at large μ_B and critical end point (CEP) are conjectured.

Sign problem in Lattice QCD at finite μ_B

Large uncertainties from models to locate the CEP.

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correlation length: ξ expected to diverge susceptibilities: χ_n^q









Introduction: Observables





Allow the signal measurable

♦ Finite size/time effects reduces ξ Higher order \longrightarrow more sensitivity

$$C_{2} \sim \xi^{2}, C_{4} \sim \xi^{7}$$
$$\frac{C_{4q}}{C_{2q}} = \frac{\chi_{4}^{q}}{\chi_{2}^{q}}, \frac{C_{6q}}{C_{2q}} = \frac{\chi_{6}^{q}}{\chi_{2}^{q}}$$

 Direct comparison with lattice QCD, HRG, QCD-based model calculations

R.V. Gavai and S. Gupta, PLB696, 459(11) S. Ejiri, F. Karsch, K. Redlich, PLB633, 275(06) A. Bazavov et al., PRL109, 192302(12) S. Borsanyi et al., PRL**111**, 062005(13)

Strasbourg, June 4, 2024

At CEP:

q = B, Q, S



M. A. Stephanov, PRL 107 (2011) 052301

Assumption: Thermodynamic equilibrium

Non-monotonic energy dependence of C_4/C_2 of conserved quantity **existence of a critical region**



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$$\frac{C_{2q}}{C_{2q}} = \frac{\chi_4^q}{\chi_2^q}, \frac{C_{6q}}{C_{2q}} = \frac{\chi_4^q}{\chi_2^q}$$

 $C_{2} \sim \xi^{2} C_{1} \sim \xi^{7}$

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expected to diverge Cumulants n = E-by-E net-proton multiplicity $C_1 = \langle n \rangle$ $C_2 = <\delta n^2 > * \delta n = n - < n >$ $C_3 = \langle \delta n^3 \rangle$ $C_4 = <\delta n^4 > -3 < \delta n^2 >$ $C_5 = \langle \delta n^5 \rangle - 10 \langle \delta n^3 \rangle \langle \delta n^2 \rangle$ $C_6 = <\delta n^6 > -15 < \delta n^4 > <\delta n^2 > -10 < \delta n^3 >^2 + 30 < \delta n^2 >^3$ Skewness: Asymmetry $\frac{\chi_6^q}{\chi_2^q}$ $\mathbf{S} = \langle (\delta N)^3 \rangle / \sigma^3 = C_3 / C_2^{3/2}$ q = B, Q, SNegative Skew Positive Skew Positive Kurtosis Kurtosis: Peakedness Leptokurtic Negative Kurtosi $\kappa = \langle (\delta N)^4 \rangle / \sigma^4 - 3 = C_4 / C_2^2$ Platykurti Mesokurtic





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expected to diverge $C_{1} = \langle n \rangle$ $C_{2} = \langle \delta n^{2} \rangle \quad *_{\delta n = n - \langle n \rangle}$ $C_{3} = \langle \delta n^{3} \rangle$ $C_{4} = \langle \delta n^{4} \rangle - 3 \langle \delta n^{2} \rangle$ $C_{5} = \langle \delta n^{5} \rangle - 10 \langle \delta n^{3} \rangle \langle \delta n^{2} \rangle$ $C_{6} = \langle \delta n^{6} \rangle - 15 \langle \delta n^{4} \rangle \langle \delta n^{2} \rangle - 10 \langle \delta n^{3} \rangle^{2} + 30 \langle \delta n^{2} \rangle^{3}$

q = B, Q, S

Factorial cumulants

$$\kappa_1 = C_1$$
 $n = E-by-E (anti)proton multiple
 $\kappa_2 = -C_1 + C_2$
 $\kappa_3 = 2C_1 - 3C_2 + C_3$
 $\kappa_4 = -6C_1 + 11C_2 - 6C_3 + C_4$
 $\kappa_5 = 24C_1 - 50C_2 + 35C_3 - 10C_4 + C_5$
 $\kappa_6 = -120C_1 + 274C_2 - 225C_3 + 85C_4 - 15C_5 + C_6$$



Experimental Search for CEP from BES-I



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 $3 \leq \sqrt{s_{NN}}$ (GeV) $\leq 200 \rightarrow 750 \geq \mu_B$ (MeV) ≥ 25

High precision, widest μ_R coverage to date





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Events used for net-proton fluctuation studies (Collider runs) BES-II vs BES-I

μ	E
-	_

√s _{NN} (GeV)	Events BES-I (10 ⁶)	Events BES-II (10 ⁶)
7.7	3	45
9.2	_	78
11.5	7	110
14.5	20	178
17.3	_	116
19.6	15	270
27	30	220

~x10-18 larger statistics 9.2 and 17.3 GeV added to energy scan

High precision, widest μ_B coverage to date



STAR DETECTOR: BES-II UPGRADE

Wide and uniform acceptance

Excellent PID and tracking

Modest rates

inner Time Projection Chamber

endcap Time-Of-Flight

Event Plane Detector



STAR Major Upgrades for BES-II





iTPC:

- \blacktriangleright Improves dE/dx
- \triangleright Extends η coverage from 1.0 to 1.6
- \triangleright Lowers p_T cut-in from 125 to 60 MeV/c
- \triangleright Ready in 2019

Enlarge rapidity acceptance: $|\eta| \le 1.0 \rightarrow |\eta| \le 1.6$

- Improve particle identification: $p_T \ge 125$ MeV/c $\rightarrow p_T \ge 60$ MeV/c 2)
- Enhance centrality/event plane resolution, suppress auto correlations 3)
- Enable the fixed-target program: $\mu_B \leq 420 \text{ MeV} \rightarrow \mu_B \leq 750 \text{ MeV}$ 4)

eTOF:



Full EPD has been installed

Forward rapidity coverage \triangleright PID at $\eta = (1.05 \text{ to } 1.5)$ Borrowed from CBM-FAIR \triangleright Ready in 2019

EPD:

- > Improves trigger
- ➤ Better centrality & event plane measurements
- \triangleright Ready in 2018





Optimized Using Charged particle multiplicity measured by STAR Exclude protons and antiprotons to avoid self correlation



Centrality Definition

Two centrality definitions with different acceptance:

Refmult3		Refmult3
Charged particle multiplicity excluding protor		
BES-I	BES-II	BES-II
w/o iTPC	w/ iTPC	w/ iTPC
$ \eta < 1.0$	$ \eta < 1.0$	$ \eta < 1.6$

Refmult3X (BES-II) > Refmult3 (BES-II) > Refmult3 (BES-I)

Best centrality resolution







Proton Identification



p _T (GeV/c)	0.4 - 0.8	0.8 – 2.
rapidity	y < 0.5	
detector	TPC	TPC+TC
dE/dx	$ n\sigma < 2$	
mass ² (GeV ² /c ⁴)	/	0.6 – 1.2

- Uniform acceptance for (anti-) protons \diamond |y| < 0.5 with |Vz| < 50 cm
- (anti-)protons identified using TPC dE/dx + TOF
- Bin-by-bin purity > 99% in the full acceptance range and all energies







Event-by-Event Net-proton Number Distribution



- Raw net-proton number distributions from BES-II: Uncorrected for detector efficiency
- Mean increases with decreasing collision energy: Effect of baryon stopping





Improved statistics and systematics

Better statistics:

~x10 – 18 larger statistics compared with BES

Larger acceptance and improved tracking Benefit from iTPC upgrade ~10% higher proton efficiency compared to BES-I Better control on uncertainty on efficiency: 2% compared to 5% in BES-I

Better centrality resolution Corrected for finite centrality bin with event-number-weighted average

 $|C_n = \sum_r w_r C_{n,r}|$ where $w_r = n_r / \sum_r n_r$, n = 1, 2, 3, 4...Here, n_r is no. of events in r^{th} multiplicity bin

X. Luo, T Nonaka, PRC 99 (2019), X. Luo et al, J.Phys. G 40, 105104 (2013)

5-I Stat.error
$$C_r \propto \frac{\sigma^r}{\sqrt{N}}$$

STAR, PRC 104 (2021) 024902

Reduction factor in uncertainties on 0-5% C_4/C_2 : **BES-II vs BES-I**

7.7 (GeV	19.6	GeV
stat. error	sys. error	stat. error	sys. error
4.7	3.2	4.5	4







Latest Net-proton Fluctuation Results from STAR BES-II

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Cumulants vs Centrality and Collision Energies





Cumulant ratios vs Centrality and Collision Energies



Precision measurements: smooth variation across centrality and collision energy observed. Results from Refmult3X (BES-II) < Refmult3 (BES-II) < Refmult3 (BES-I)

 \Leftrightarrow For 0-5% C_4/C_2 , weak effect of centrality resolution seen.

Average Number of Participant Nucleons (N_{part})

A Higher centrality resolution leads to lower ratios (especially in mid central and peripheral collisions):





Energy Dependence of C₄/C₂: Comparison with BES-I







Energy Dependence of C_4/C_2 : Comparison with BES-I

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Deviation between BES-II and BES-I data

$\sqrt{s_{NN}}$ (GeV)	0-5%	70-80%
7.7	1.0σ	0.9σ
11.5	0.4σ	1.3σ
14.6	2.2σ	2.5σ
19.6	0.7σ	0.0σ
27	1.4σ	0.2σ





Effect of Centrality Resolution on C_4/C_2





Effect of Centrality Resolution on C_4/C_2



Cumulant Ratio C₄/C₂

0-5% centrality C_4/C_2 results show good agreement between Refmult3 and Refmult3X: weak effect of centrality resolution.

♦ Difference in 70–80% due to centrality resolution impact.

BES-II results shown hereafter are with Refmult3X





Net-proton cumulant ratios



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Cumulant Ratios

Smooth variation vs $\sqrt{s_{NN}}$ in C_2/C_1 and C_3/C_2 observed. C_4/C_2 decreases with decreasing energy.



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V. Vovchenko et al, PRC 105, 014904 (2022)





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C. UrQMD: Hadronic transport model

Bass S., et al. Prog. Part. Nucl. Phys., 41, 255 (1998)

(All models include baryon number conservation)







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100

200

(V)

STAR

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- Proton factorial cumulant ratios deviates from Poisson baseline at 0.
 - Antiproton κ_3/κ_1 , κ_4/κ_1 closer to 0.







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Saryon number conservation may shift the non-CEP model baseline but won 't create criticality.





























C₄/C₂: Quantifying Deviation from Non-CP Models



Yifei Zhang (USTC) / SQM

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C₄/C₂: Quantifying Deviation from Non-CP Models



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Summary:

Precision measurement of net-proton number fluctuations vs . centrality and collision energy in Au+Au collisions from STAR BES-II reported. Compared to BES-I, we have better statistical precision, better centrality resolution, better control on systematics!

of $3.2 - 4.7\sigma$.

Outlook:

- Extend measurements to even higher orders of fluctuations: C_n , κ_n (n = 1 6).
- Examine transverse momentum dependence and rapidity dependence of fluctuations.
- Complete the measurements in Au+Au collisions at fixed target (FXT) energies.

 \diamond Net-proton C_4/C_2 in 0-5% central collisions show a maximum deviation w.r.t. various non-CP model calculations and 70-80% data is observed at $\sqrt{S_{NN}} = 20$ GeV with a significance level





Acknowledgements

SQM2024 Organizers for giving this opportunity.

RHIC operation for successfully completing collection of BES-II data,

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Thank you for your attention !