

# Exploring inelastic and elastic parton interactions and transport properties of the strongly interacting quark-gluon plasma

Ilia Grishmanovskii<sup>1</sup>, Olga Soloveva<sup>1</sup>, Taesoo Song<sup>2</sup>, Carsten Greiner<sup>1</sup>, and Elena Bratkovskaya<sup>2,1</sup>

<sup>1</sup>Institut für Theoretische Physik, Johann Wolfgang Goethe-Universität

<sup>2</sup>GSF Helmholtzzentrum für Schwerionenforschung GmbH



## MOTIVATION

An understanding of the properties of the sQGP by employing an effective quasiparticle model

## DYNAMICAL QUASIPARTICLE MODEL (DQPM)

- Effective model for the description of non-perturbative QCD based on IQCD EoS [1]

- The QGP phase is described in terms of interacting quasiparticles, massive quarks and gluons, with Lorentzian spectral functions

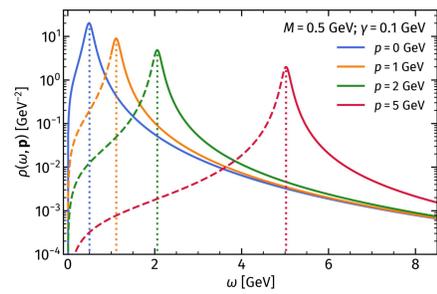
$$\rho_j(\omega, \mathbf{p}) = \frac{4\omega\gamma_j}{(\omega^2 - \mathbf{p}^2 - M_j^2)^2 + 4\gamma_j^2\omega^2}$$

- Theoretical basis: "resummed" single-particle Green's functions → quark (gluon) propagator (2PI)

gluon propagator:  $\Delta^{-1} = P^2 - \Pi$ ;  
gluon self-energy:  $\Pi = M_g^2 - 2i\gamma_g\omega$ ;

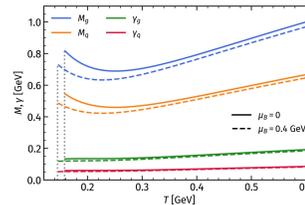
quark propagator:  $S_q^{-1} = P^2 - \Sigma_q$   
quark self-energy:  $\Sigma_q = M_q^2 - 2i\gamma_q\omega$

- Real part of the self-energy – thermal masses
- Imaginary part of the self-energy – interaction widths



## DQPM INGREDIENTS

- Masses and widths of quasiparticles depend on  $T$  and  $\mu_B$

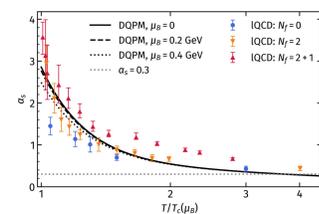
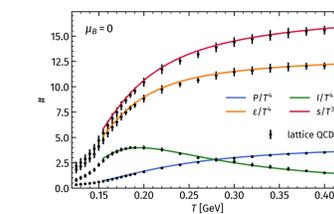


$$m_q^2(T, \mu_B) = C_q \frac{g^2(T, \mu_B)}{6} T^2 \left( 1 + \frac{N_f}{2N_c} + \frac{1}{2} \frac{\sum_q \mu_q^2}{T^2 \pi^2} \right)$$

$$m_{q(q)}^2(T, \mu_B) = C_q \frac{g^2(T, \mu_B)}{4} T^2 \left( 1 + \frac{\mu_q^2}{T^2 \pi^2} \right)$$

$$\gamma_j(T, \mu_B) = \frac{1}{3} C_j \frac{g^2(T, \mu_B)}{8\pi} T \ln \left( \frac{2c_m}{g^2(T, \mu_B)} + 1 \right)$$

- Input: entropy density vs  $T$  for  $\mu_B=0$  → fix DQPM parameters by comparison of the DQPM entropy density to IQCD at  $\mu_B=0$



$$g^2(s/s_{SB}) = d((s/s_{SB})^e - 1)^f$$

$$s_{SB}^{QCD} = 19/9\pi^2 T^3$$

## 2 → 2 (ELASTIC) PARTONIC INTERACTIONS

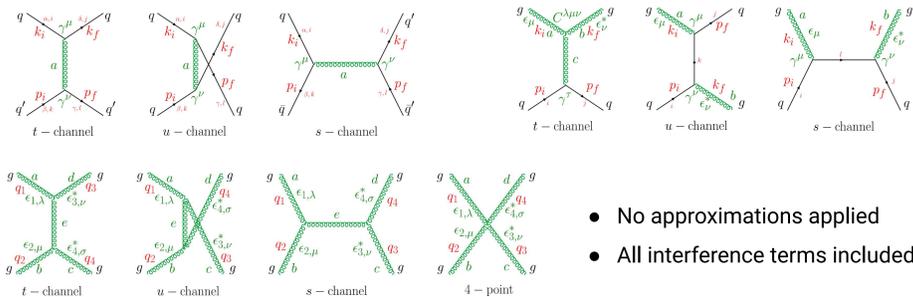
- DQPM partonic cross sections → leading order diagrams

quark propagator:

$$i \xrightarrow{q} j = i\delta_{ij} \frac{q + M_q}{q^2 - M_q^2 + 2i\gamma_q q_0}$$

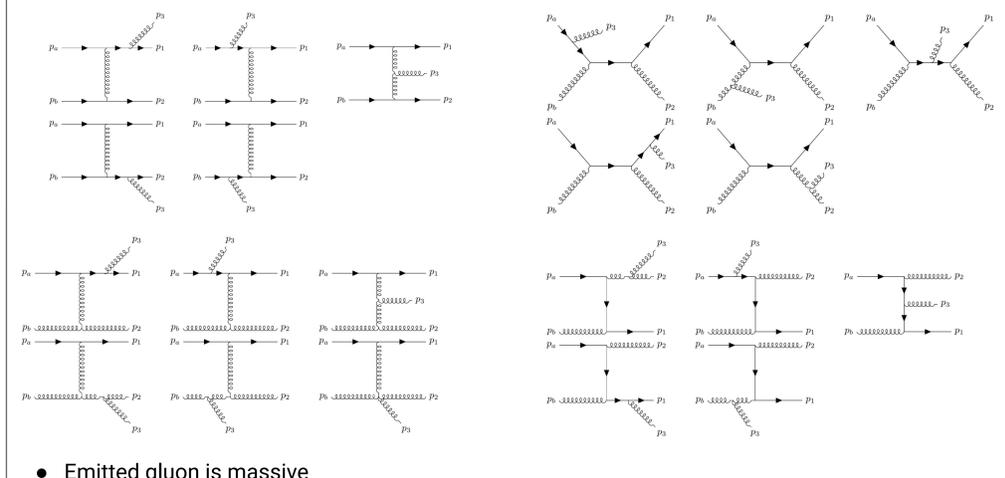
gluon propagator:

$$i \xrightarrow{q} j = -i\delta_{ab} \frac{g^{\mu\nu} - q^\mu q^\nu / M_g^2}{q^2 - M_g^2 + 2i\gamma_g q_0}$$



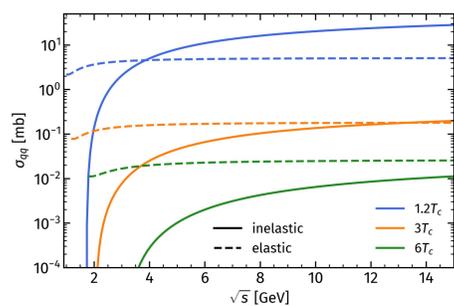
- No approximations applied
- All interference terms included

## 2 → 3 (INELASTIC) PARTONIC INTERACTIONS



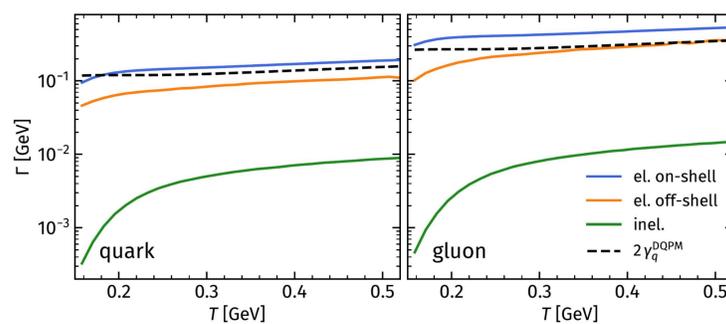
- Emitted gluon is massive

## RESULTS: CROSS SECTIONS



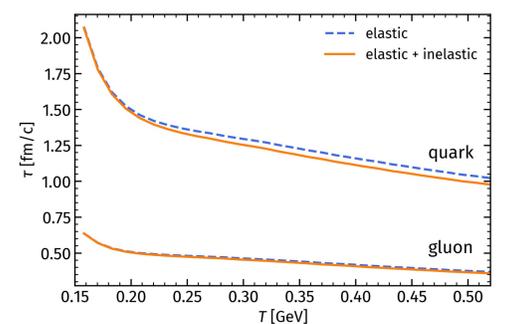
- Suppression of radiative cross section for small energies
- Enhancement of radiative cross section for small temperatures

## RESULTS: PARTON INTERACTION RATES



- Inelastic interaction rates of thermal light quarks and gluons are strongly suppressed at all temperatures

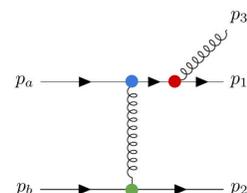
## RESULTS: QGP RELAXATION TIME



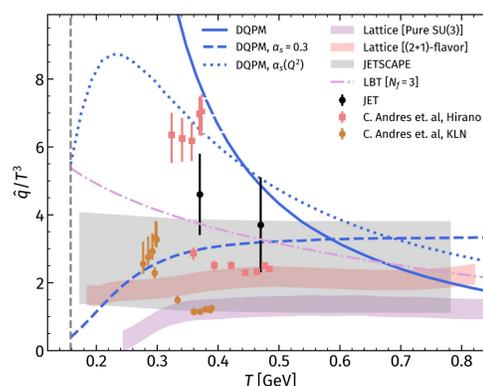
- Accounting for inelastic processes only slightly shortens the relaxation time of thermal sQGP

## RESULTS: JET TRANSPORT COEFFICIENTS

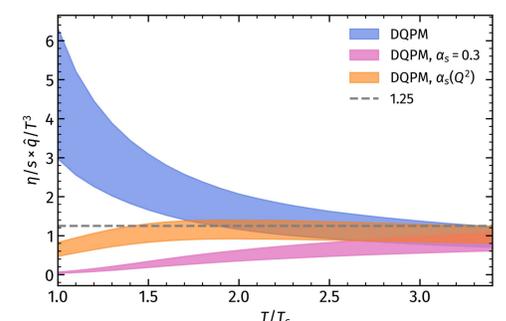
- Employing different strong couplings in thermal, jet, and radiative vertices



Model	Vertex		
	thermal parton	jet parton	emitted gluon
DQPM		$a_s(T)$	
DQPM, $\alpha_s = 0.3$		$\alpha_s = 0.3$	
DQPM, $\alpha_s(Q^2)$	$a_s(T)$	$a_s(Q^2)$	$a_s(k_t^2)$



- Strong dependence on the choice of  $\alpha_s$



- Consistency with the weak-coupling limit at high temperatures
- Strong deviation from the weak-coupling limit at low temperatures

## OUTLOOK

- Implementation of inelastic 2→3 cross sections into full transport simulation (PHSD)
- Study the full jet evolution within transport simulations
- Implementation of the LMP effect

## REFERENCES

- [1] W. Cassing, Eur.Phys.J.ST 168 (2009) 3-87
- [2] I. Grishmanovskii et al, Phys.Rev.C 109 (2024) 2, 024911
- [3] I. Grishmanovskii et al, Phys.Rev.C 106 (2022) 1, 014903
- [4] I. Grishmanovskii et al, arXiv:2402.04923

## FUNDING

