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Measurements of p - E^- Correlation Function in $\sqrt{s_{NN}} = 200$ GeV Isobar (Zr+Zr and Ru+Ru) and Au+Au Collisions with the STAR Detector

Boyang Fu

for the STAR collaboration

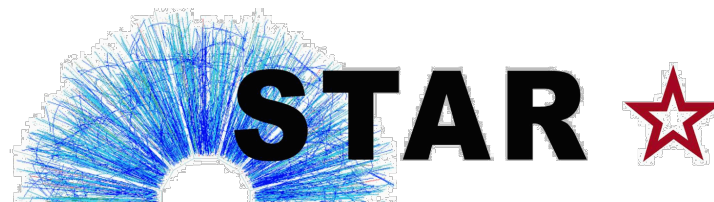
Central China Normal University

In part supported by



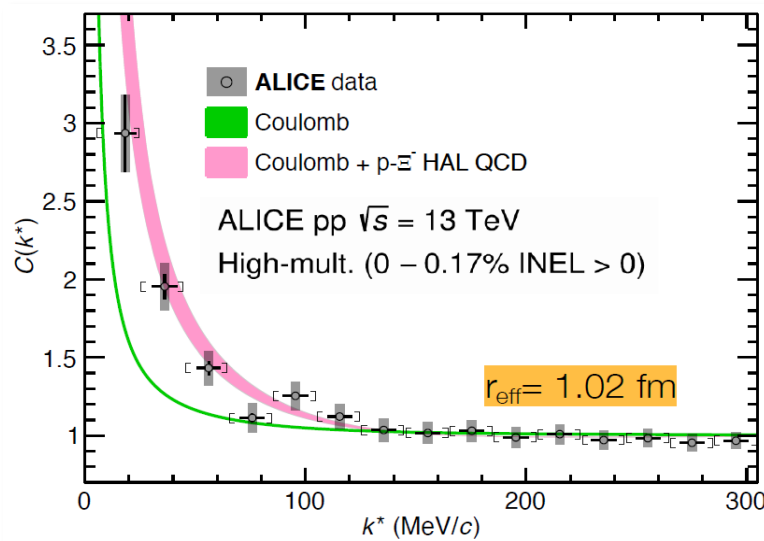
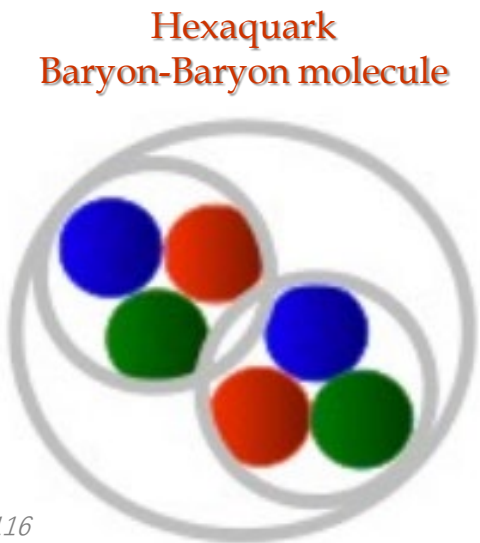
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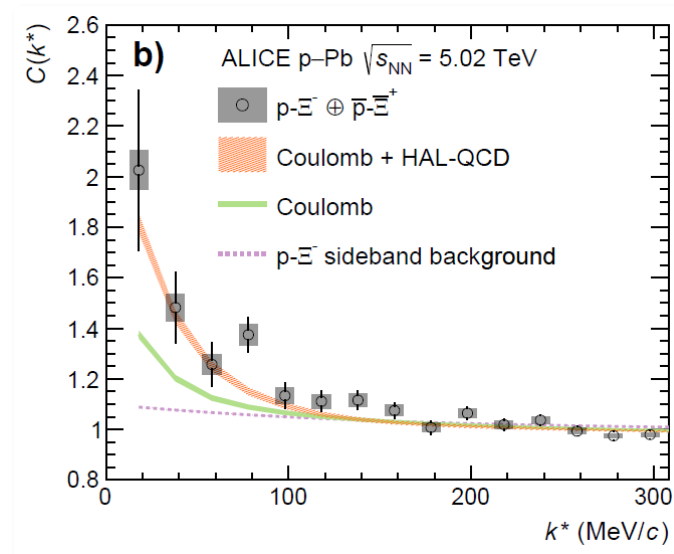


- ☆ Motivation
- ☆ Two-particle Correlations
- ☆ The STAR Experiment
- ☆ Data Analysis and L-L Fits
- ☆ Results
- ☆ Summary

- Why study $p\text{-}\Xi^-(n\text{-}\Xi^-)$ correlations ?
 - ❑ Important to study the Hyperon-nucleon interactions and explore the inner structure of the neutron star.
 - ❑ Related to the possible existence of H-dibaryon in $S=-2$ sector.
- Lattice QCD potentials (HAL-QCD Collaboration) – Predicted an attractive interaction in $p\text{-}\Xi^-$ and it is observed in $p\text{-Pb}$ and $p\text{-p}$ collisions at ALICE.



Nature 588(2020) 233



Phys. Rev. Lett. 123, 112002

PoS LATTICE2016 (2017) 116
 Nucl. Phys. A 998 (2020) 121737
 Nuclear Physics A 967 (2017) 856–859
 PHYSICAL REVIEW C 105, 014915 (2022)

Statistical

Momentum correlation function:

$$C(\mathbf{p}_1, \mathbf{p}_2) = \frac{P(\mathbf{p}_1, \mathbf{p}_2)}{P(\mathbf{p}_1) \cdot P(\mathbf{p}_2)}$$

Single-particle momentum

Modeling

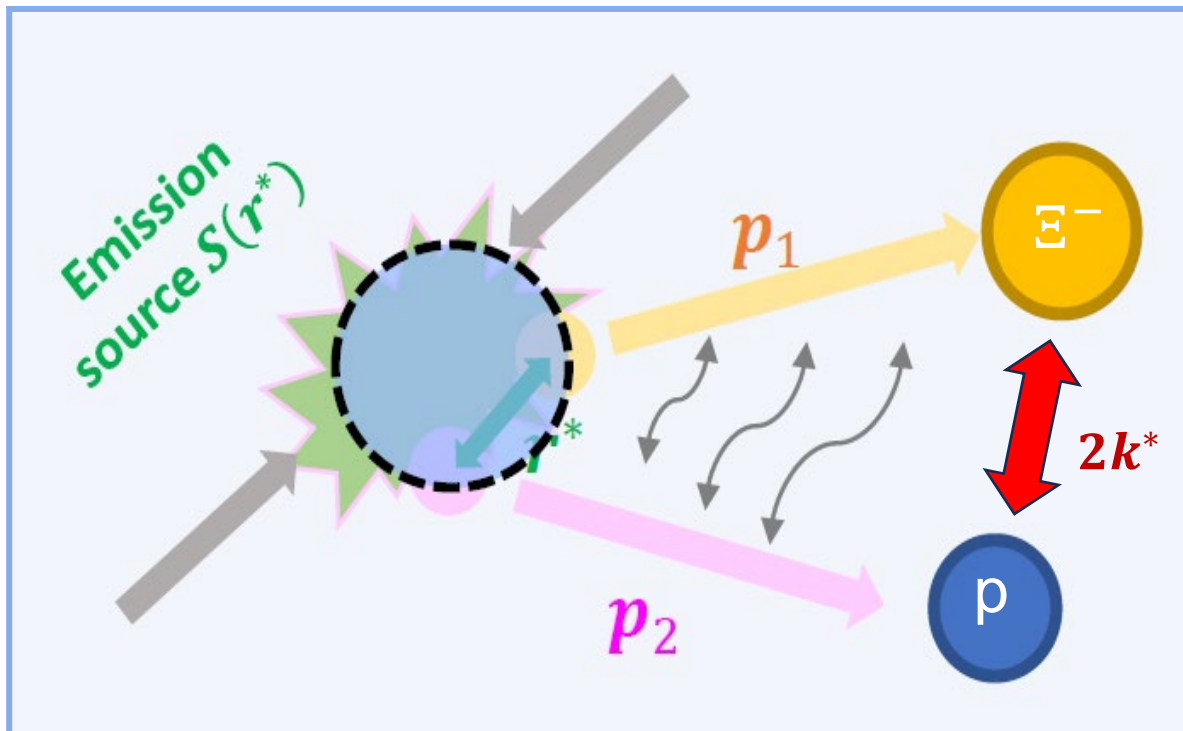
Approximating the emission process
And the momenta of the particles:

$$C(k^*) = \int d^3r^* S(r^*) |\Psi(r^*, k^*)|^2$$

Pair Source Function

Pair Wave function

$$\Psi(r^*, k^*) \propto (QS, Coul, SI)$$



Experimental

Observable:

$$C(k^*) = \mathcal{N} \frac{N_{same}(k^*)}{N_{mixed}(k^*)}$$

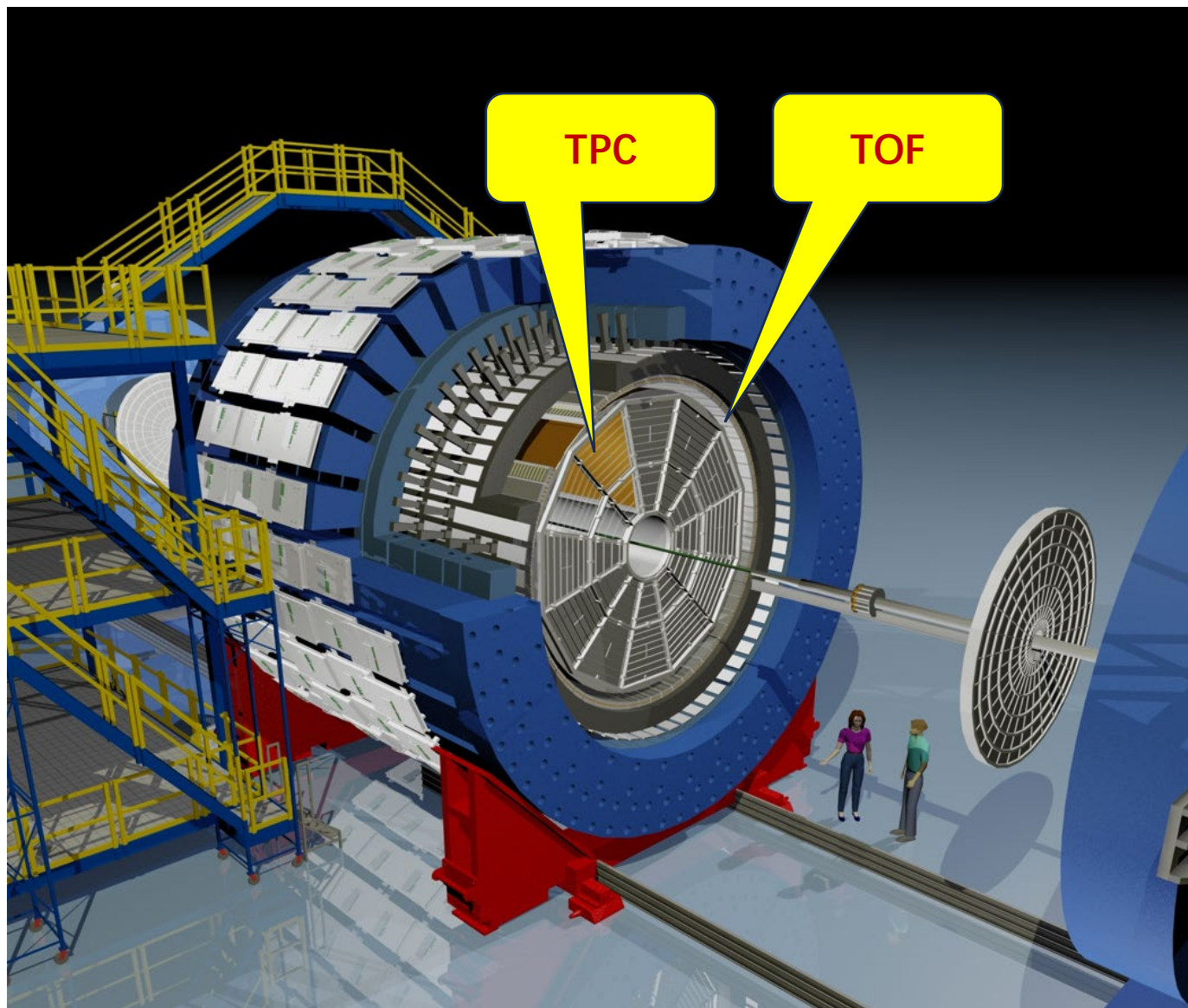
Normalization factor

Signal

Background

k^* : relative momentum in the pair rest frame (PRF)
 r^* : relative distance in PRF

R. Lednicky, et al. Sov.J.Nucl.Phys.35(1982)770
L. Michael, et al. Ann.Rev.Nucl.Part.Sci. 55 (2005) 357-402
J. Haidenbauer, Phys.Rev.C 102 (2020) 3, 034001

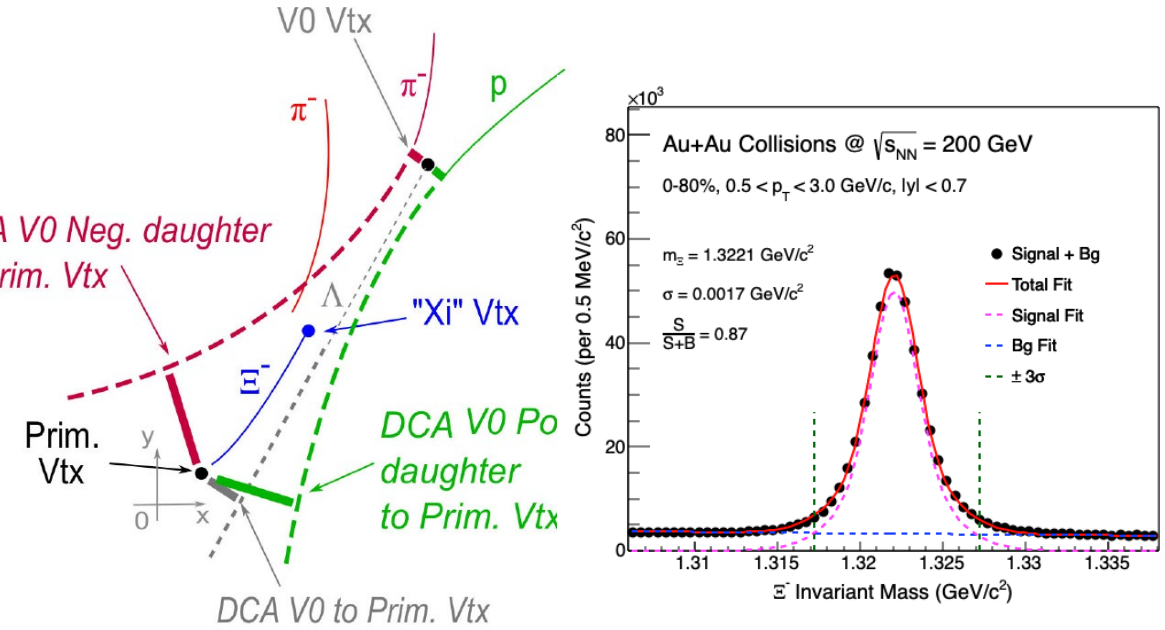
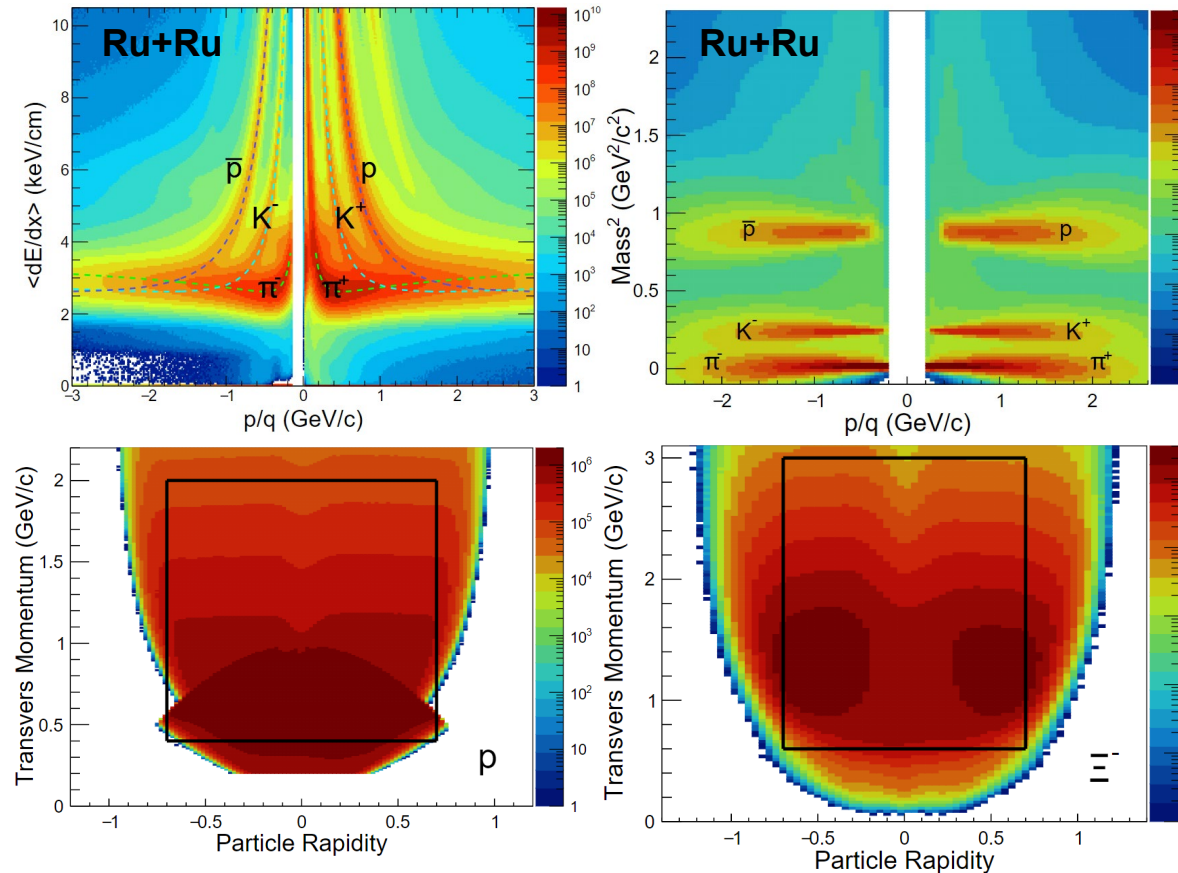


Time Projection Chamber (TPC)

- ✓ Charged particle tracking
- ✓ Momentum reconstruction
- ✓ Particle identification from ionization energy loss (dE/dx)
- ✓ Pseudorapidity coverage $|\eta| < 1.0$

Time-of-Flight (TOF)

- ✓ Particle identification m^2
- ✓ Pseudorapidity coverage $|\eta| < 0.9$



$$\Lambda(\bar{\Lambda}) \rightarrow p(\bar{p}) + \pi^-(\pi^+), 63.9\%$$

$$\Xi^-(\bar{\Xi}^+) \rightarrow \Lambda(\bar{\Lambda}) + \pi^-(\pi^+), 99.887\%$$

- ☆ p, π^- particles are identified by TPC and TOF
- ☆ Reconstruct $\Xi^-(\bar{\Xi}^+)$ via helix swimming method

Phys. Rev. C 102 (2020) 34909

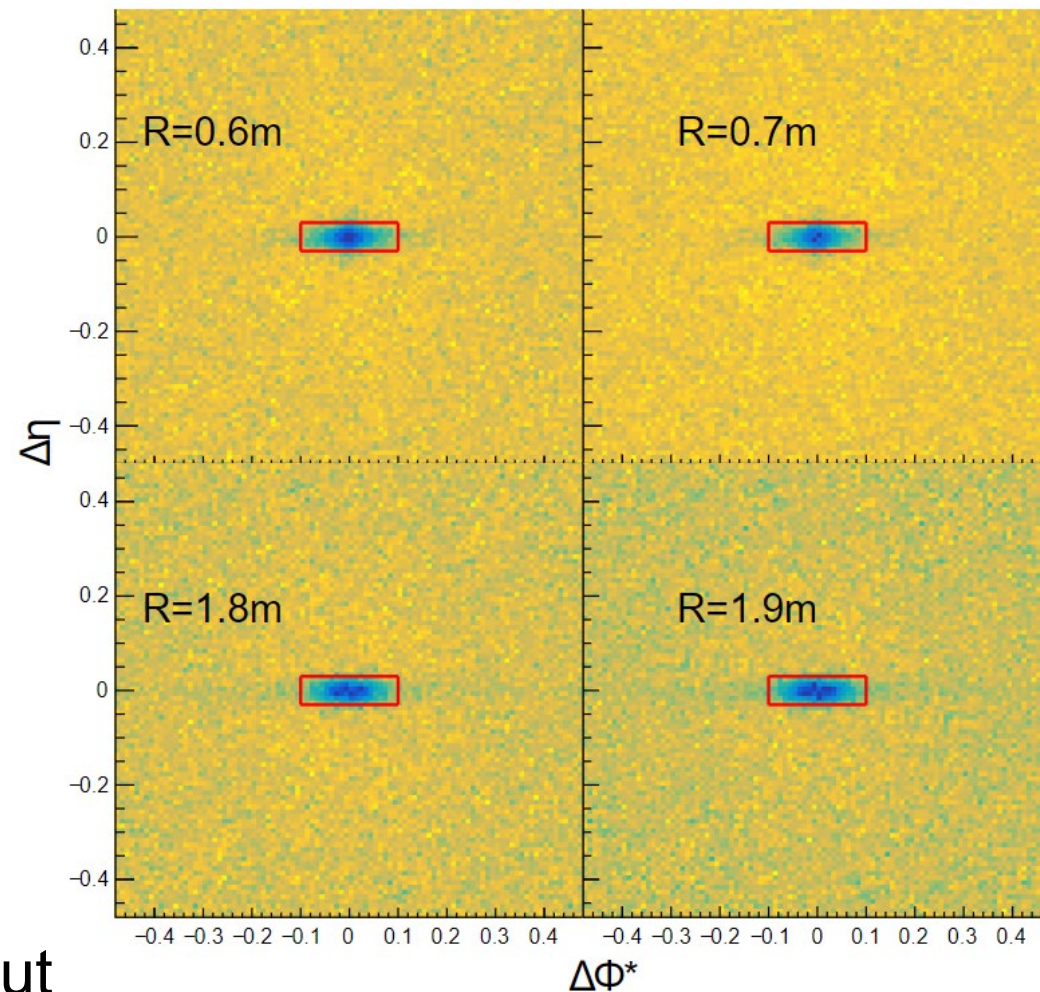
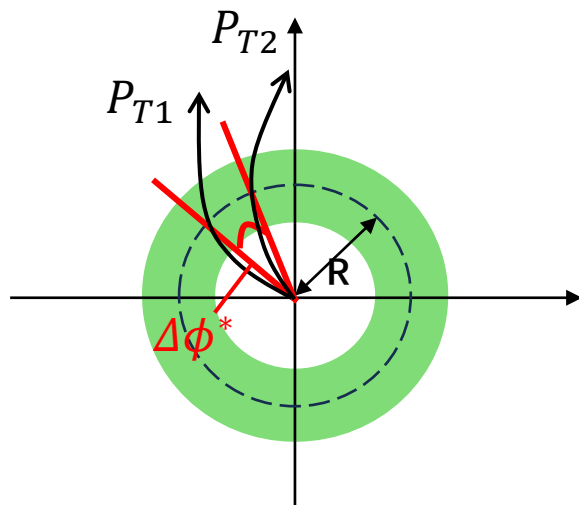
Track merging & splitting: track vs. track from $\Xi^- (\bar{\Xi}^+)$ decay

$$\Delta\phi^* = \phi_1 - \phi_2 + \sin^{-1}\left(\frac{0.3B_Z R}{2p_{T1}}\right) - \sin^{-1}\left(\frac{0.3B_Z R}{2p_{T2}}\right)$$

$B_Z = 0.5[\text{T}]$ R : transverse distance from vertex position

TPC region ($0.6\text{m} < R < 1.9\text{m}$)

p_T : transverse momentum



☆ The effect can be removed by $\Delta\Phi^*$ and $\Delta\eta$ cut

$$C(k^*) = 1 + \lambda_{genuine}(C_{genuine}(k^*) - 1) + \lambda_{residual}(C_{residual}(k^*) - 1) + \lambda_{mis-id}(C_{mis-id}(k^*) - 1)$$

We want this

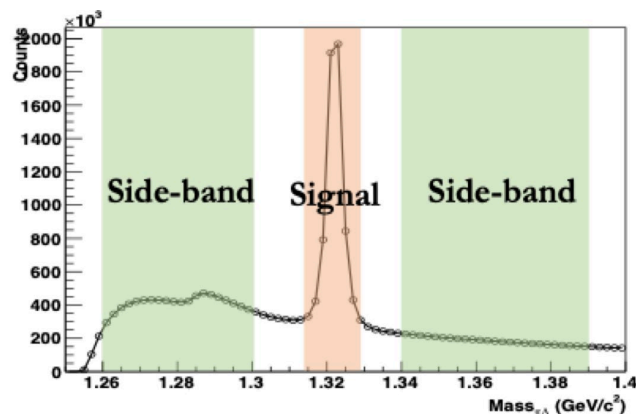
Background

1. Background correction (~1%):

$$\lambda_{mis-id} = (1 - pur_{proton} \times pur_{E^-}) \times fra_{proton} \times fra_{E^-}$$

☆ Estimate mis-id correlation via side-band method

$$\odot |\text{Invmass} - \text{pdgmass}| > 5\sigma$$



2. Residual correction (~3%):

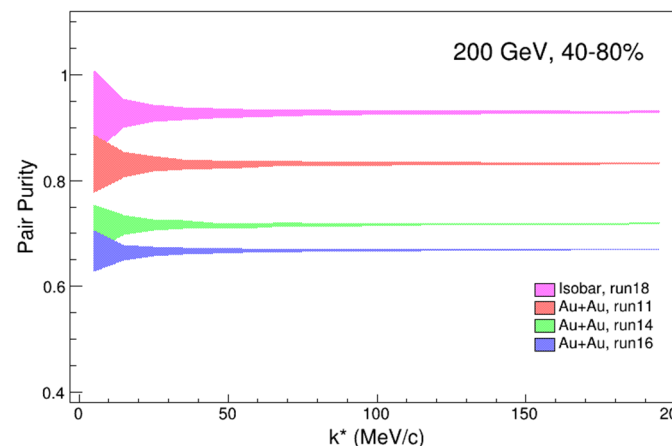
$$\lambda_{residual} = (1 - pur_{E^-})$$

☆ Main residual correlation comes from:



3. Pair Purity correction:

$$\text{Pair purity} = pur_{proton} \times pur_{E^-}$$



4. Feed-down correction:

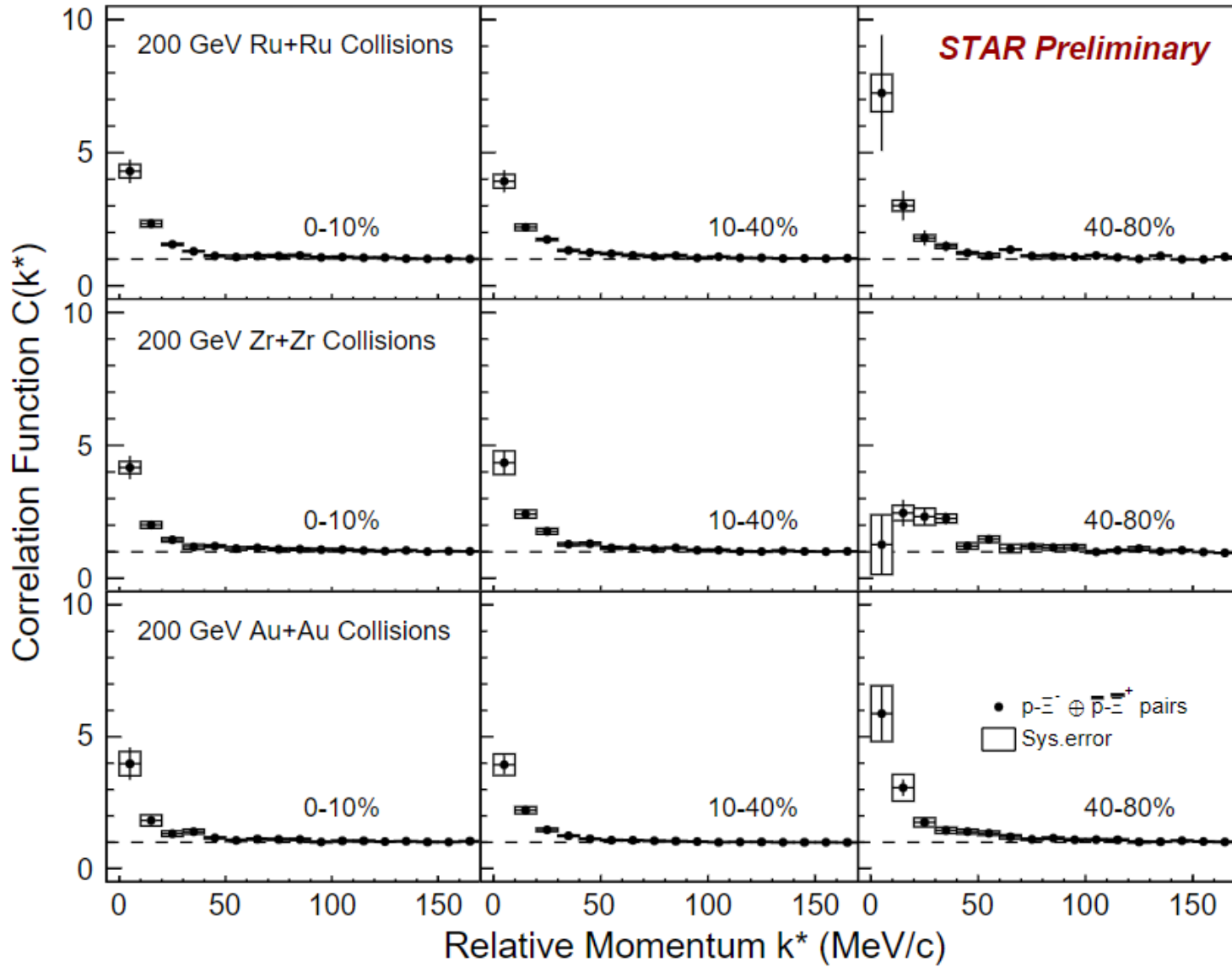
$$\lambda_{genuine} = pur_{proton} \times pur_{E^-} \times fra_{proton} \times fra_{E^-}$$

☆ For proton:

⊙ Data-driven feed-down study in each collision

☆ For E^- :

⊙ Therminator2 model



☆ CFs show enhancement at low k^*
 → More pronounced in peripheral collisions

☆ In $p\text{-}\Xi^-$ correlation, two spin states appear:

$$C_{p\text{-}\Xi} = \frac{1}{4}C_{S=0,\text{singlet}} + \frac{3}{4}C_{S=1,\text{triplet}}$$

☆ Correlation function:

$$C(\mathbf{k}^*) = \int d^3r^* S(\mathbf{r}^*) |\Psi(\mathbf{r}^*, \mathbf{k}^*)|^2$$

☆ Scattering amplitude (include Coulomb):

$$f_0(k^*) = \left[\frac{1}{f_0} + \frac{1}{2}d_0 k^{*2} - \frac{2}{a_c} h(\eta) - ik^* A_c(\eta) \right]^{-1}$$

f_0 : scattering length a_c : Bohr radius $\eta = (k^* a_c)^{-1}$
 d_0 : effective range A_c, h : Coulomb interaction

- ⊙ Different spin state have different f_0 and d_0
- ⊙ Different system have same f_0 and d_0

☆ In $p\text{-}\Xi^-$ correlation, two spin states appear:

$$C_{p\text{-}\Xi} = \frac{1}{4}C_{S=0,\text{singlet}} + \frac{3}{4}C_{S=1,\text{triplet}}$$

Total spin	Baryon pair	a_0 (fm)	r_{eff} (fm)
$J = 0$	$p\Xi^-$	$-1.25(0.03)^{(+0.12)}_{(-0.00)} - i2.00(0.40)^{(+0.16)}_{(-0.31)}$	$3.7(0.3)^{(+0.0)}_{(-0.1)} - i2.4(0.2)^{(+0.1)}_{(-0.3)}$
	$n\Xi^0$	$-2.76(0.63)^{(+0.33)}_{(-0.66)} - i0.15(0.12)^{(+0.00)}_{(-0.03)}$	$1.5(0.3)^{(+0.0)}_{(-0.1)} - i0.1(0.0)^{(+0.0)}_{(-0.0)}$
	$\Lambda\Lambda$	$-0.99(0.30)^{(+0.00)}_{(-0.17)}$	$4.9(0.70)^{(+0.1)}_{(-0.5)}$
$J = 1$	$p\Xi^-$	$-0.47(0.08)^{(+0.11)}_{(-0.09)} - i0.0(0.00)^{(+0.00)}_{(-0.00)}$	$6.7(0.7)^{(+1.4)}_{(-0.9)} + i0.0(0.1)^{(+0.0)}_{(-0.0)}$
	$n\Xi^0$	$-0.47(0.08)^{(+0.11)}_{(-0.09)}$	$6.8(0.7)^{(+1.4)}_{(-0.9)}$

$$f_0 = -a_0, \quad d_0 = r_{\text{eff}}$$

☆ Spin averaged method: does not distinguish between spin states (have same CF)

$$f_0^{\text{ave}} = \frac{1}{4}f_{0,\text{singlet}} + \frac{3}{4}f_{0,\text{triplet}} = 0.66^{+0.11}_{-0.07}$$

$$d_0^{\text{ave}} = \frac{1}{4}d_{0,\text{singlet}} + \frac{3}{4}d_{0,\text{triplet}} = 5.95^{+1.05}_{-0.71}$$

1st Step

Sample Input

$R_1 = [R_{1min}, R_{1max}]$
 $R_2 = [R_{2min}, R_{2max}]$
 $R_3 = [R_{3min}, R_{3max}]$
 $f_0 = [0.3, 1.2]$
 $d_0 = [0, 20]$

Latin Hypercube Sampling

2nd Step

Data Input

Compare with the samples and predict the parameter's value with error

3rd Step

Technique

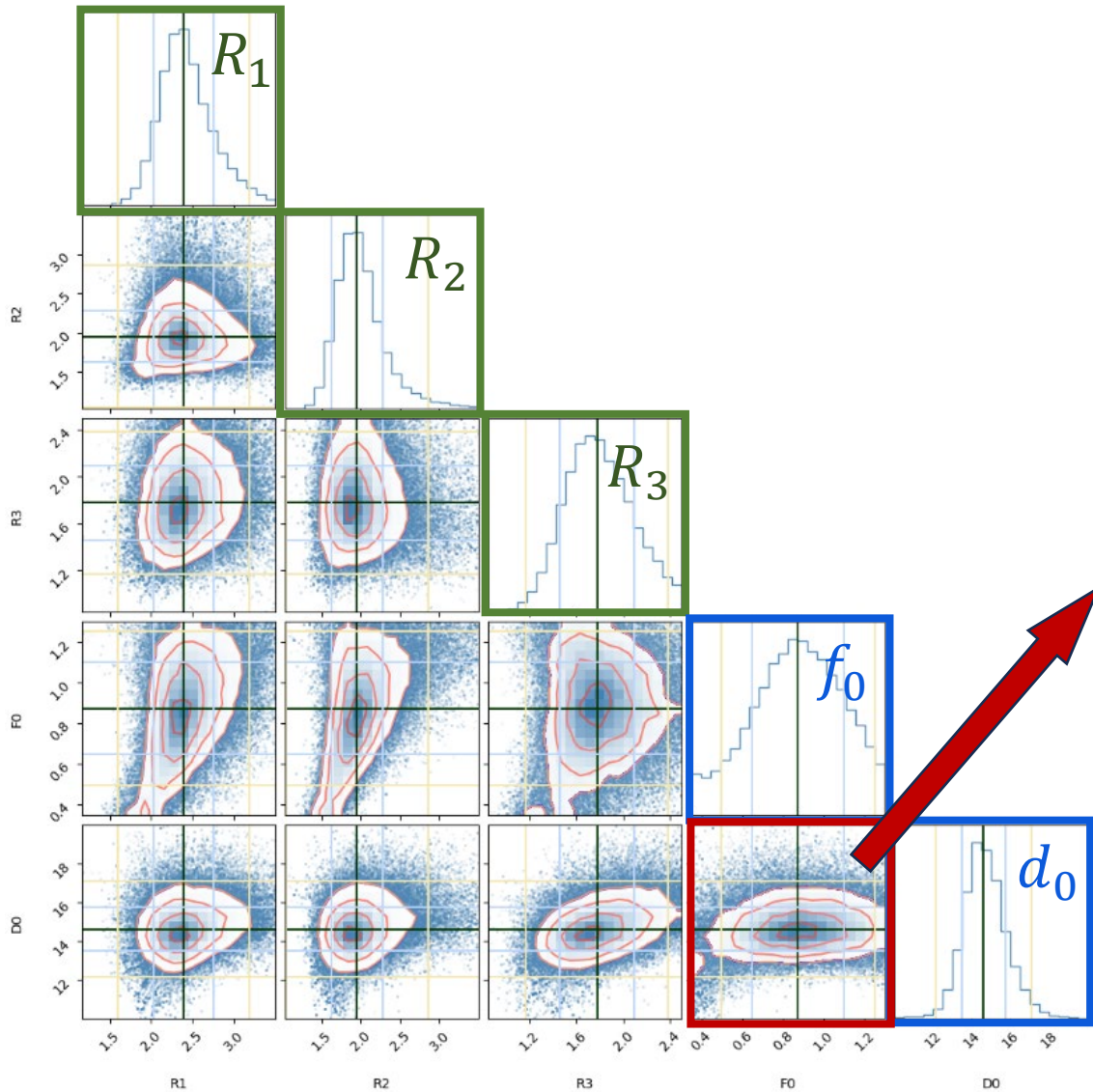
MC MC Markov Chain Monte Carlo + **Gaussian Processes Regression** + **Resampling**

$N_{steps} \sim 500$
 $N_{walkers} \sim 400$
 $N_{burnsteps} \sim 500$

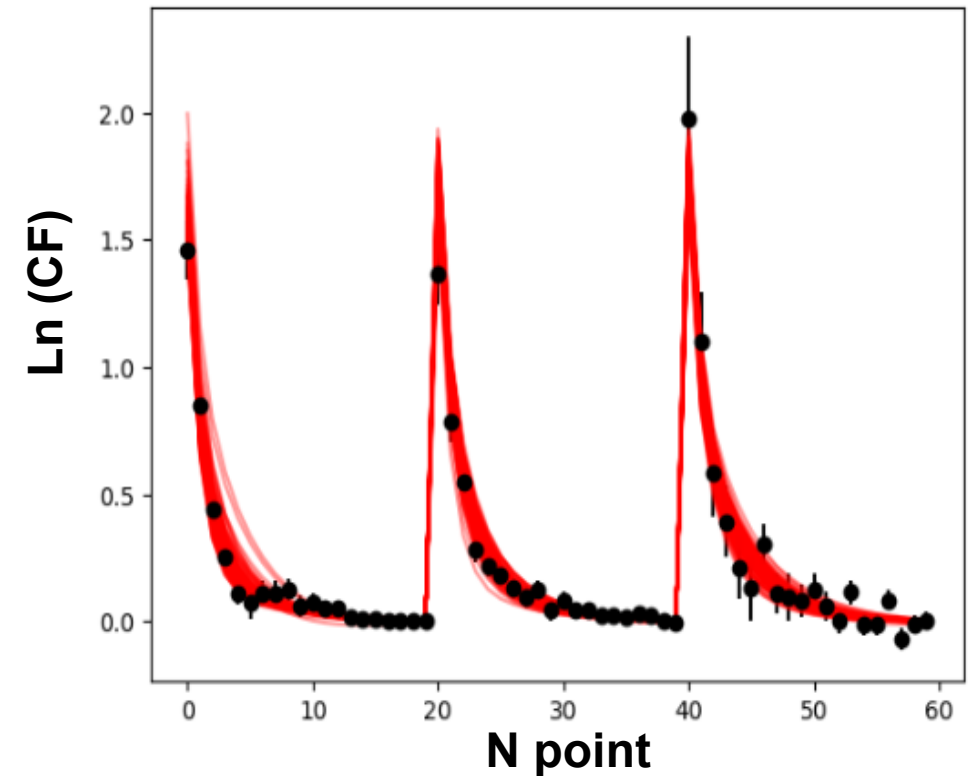
Results

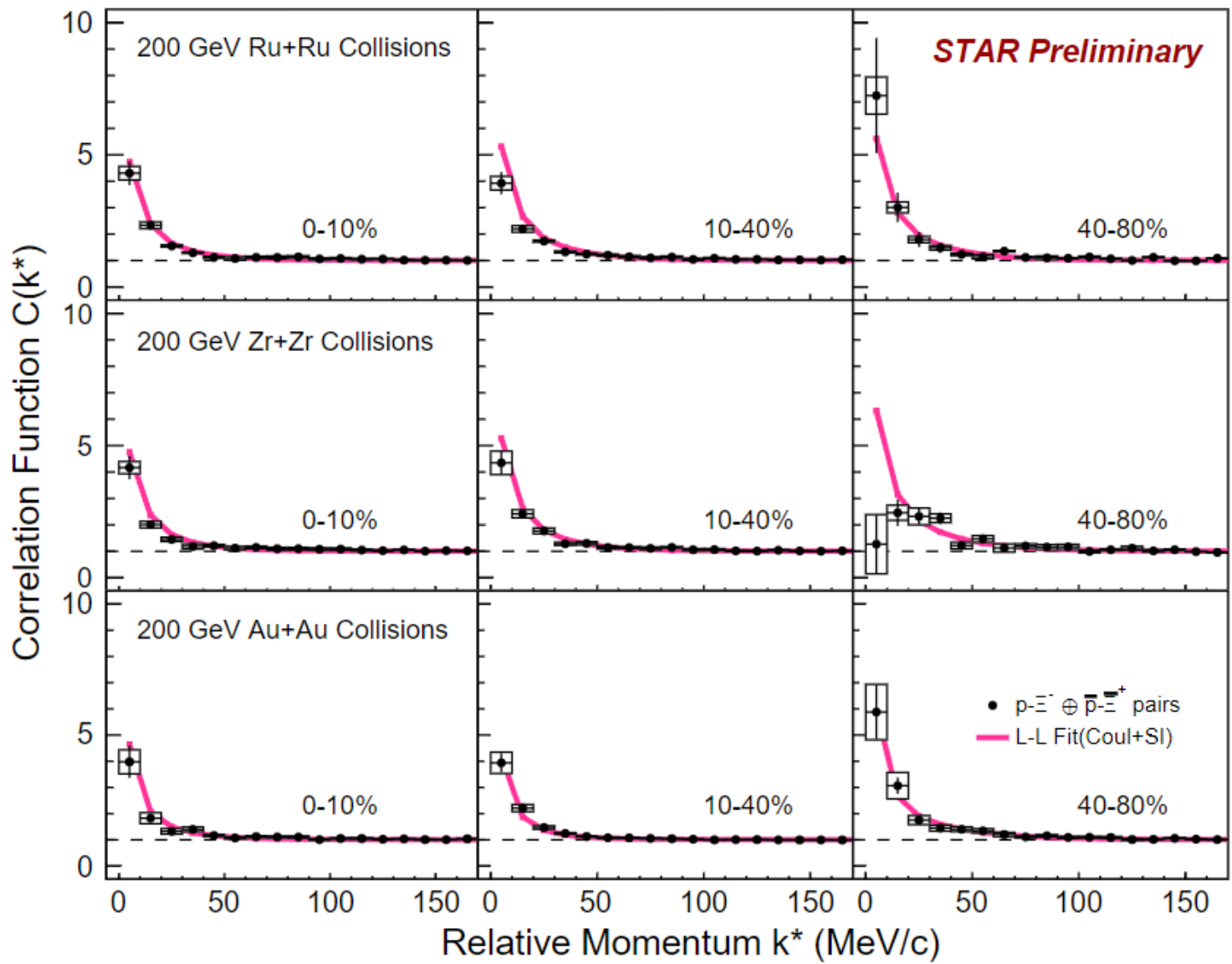
Steps =
 $N_{walkers} \times N_{burnsteps}$

	Value	Err ₊	Err ₋
R_1	2.39	0.36	0.27
R_2	1.95	0.33	0.24
R_3	1.78	0.32	0.27
f_0	0.87	0.23	0.24
d_0	14.63	1.12	0.97

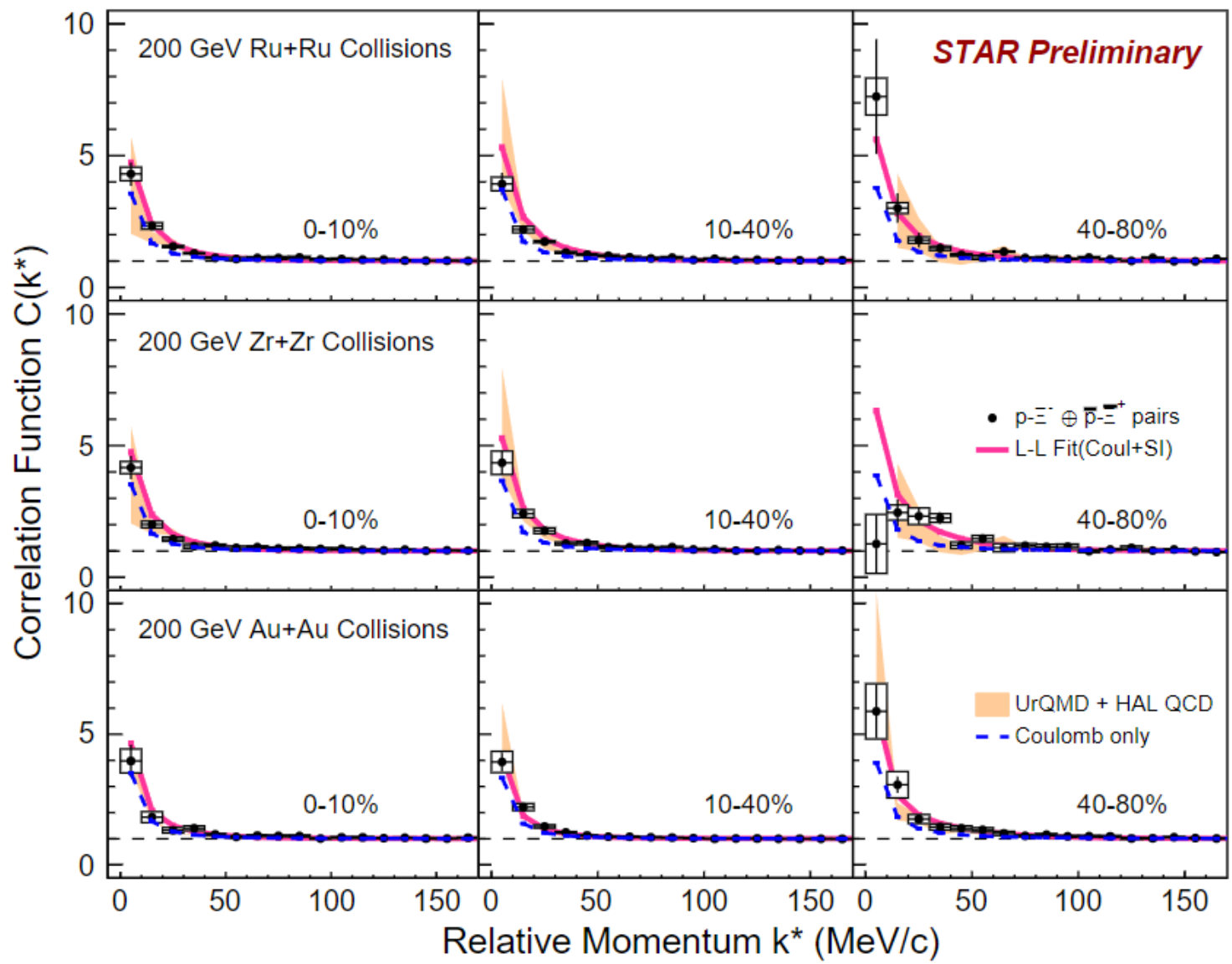


- ☆ All contours show the converged results
- ☆ The contour shows 3σ range of the predicted value





☆ Simultaneously fit with L-L function for different centralities in each collision system to extract R_G , f_0 and d_0 by Bayesian method

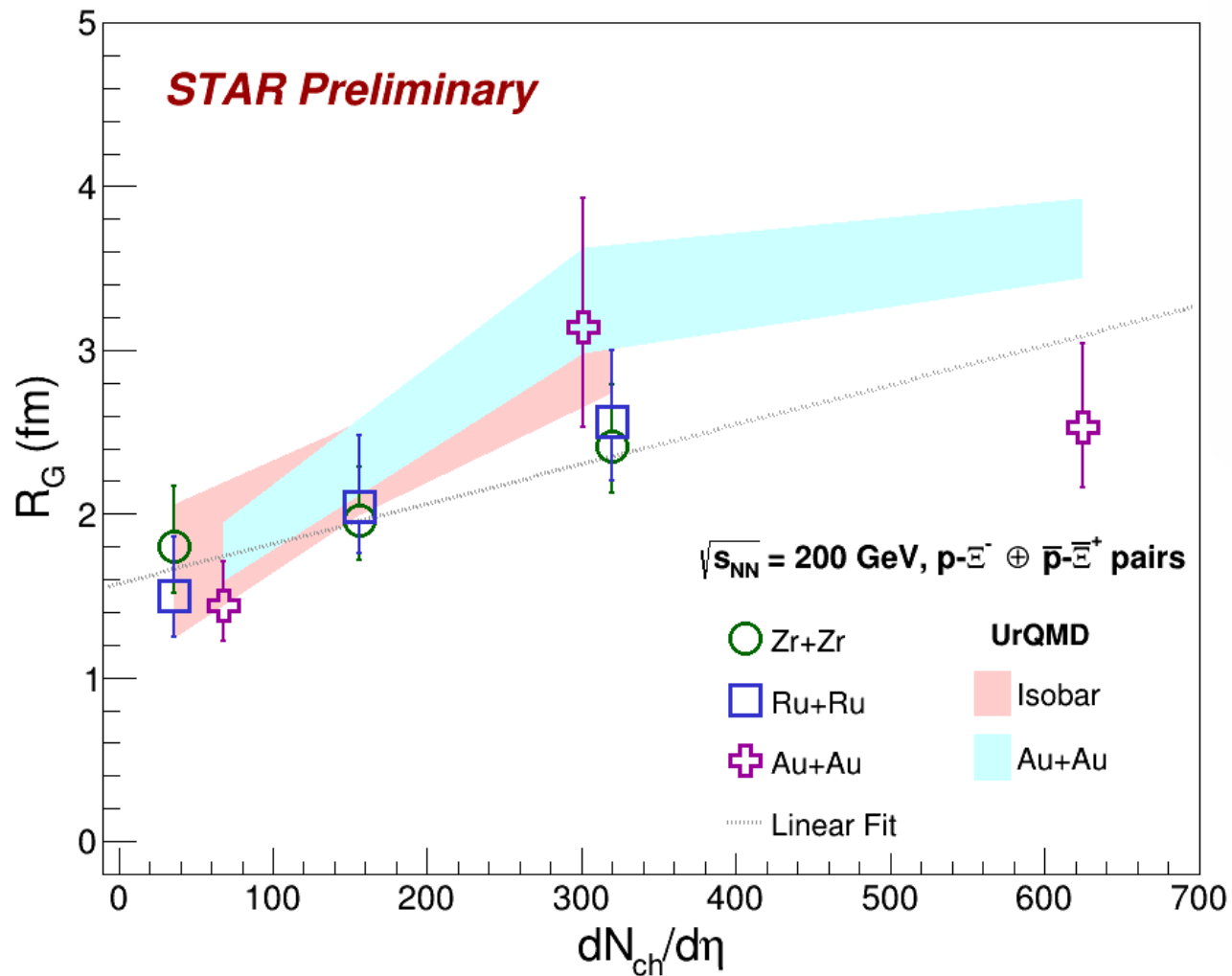


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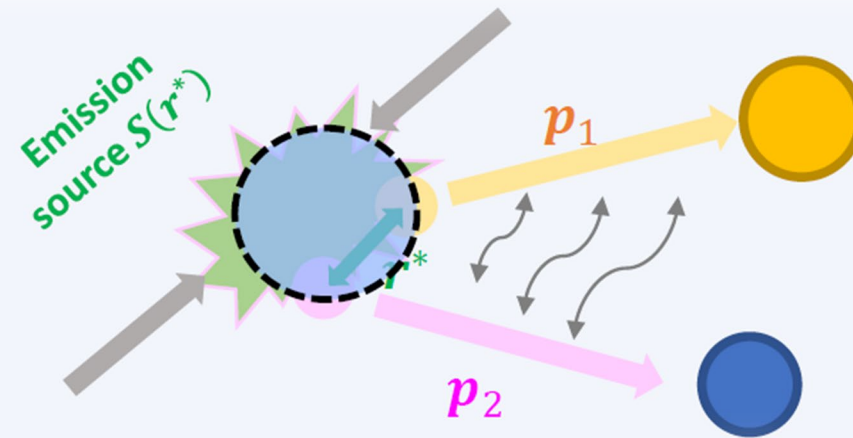
☆ UrQMD + HAL QCD model is consistent with data

- ⊙ Particle phase space provided by UrQMD
- ⊙ Interaction potential provided by HALQCD

*PHYSICAL REVIEW C 105, 014915 (2022)
M. Bleicher et al., J. Phys. G 25, 1859 (1999)*



*Linear fit with all points

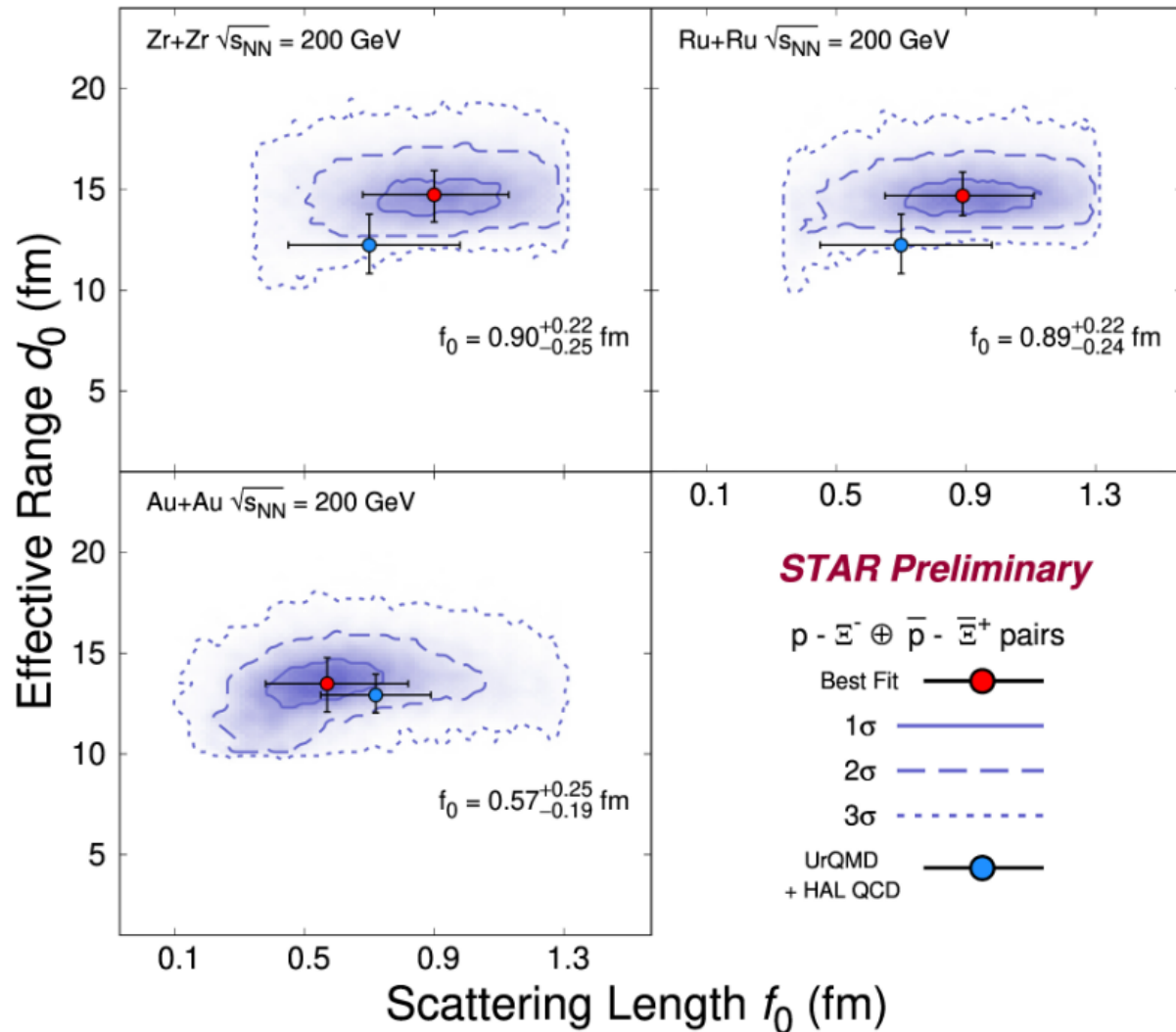


☆ R_G : Spherical Gaussian source

☆ Centrality dependence: $R_G^{central} > R_G^{peripheral}$

☆ R_G increase as charged multiplicity increase for these collisions

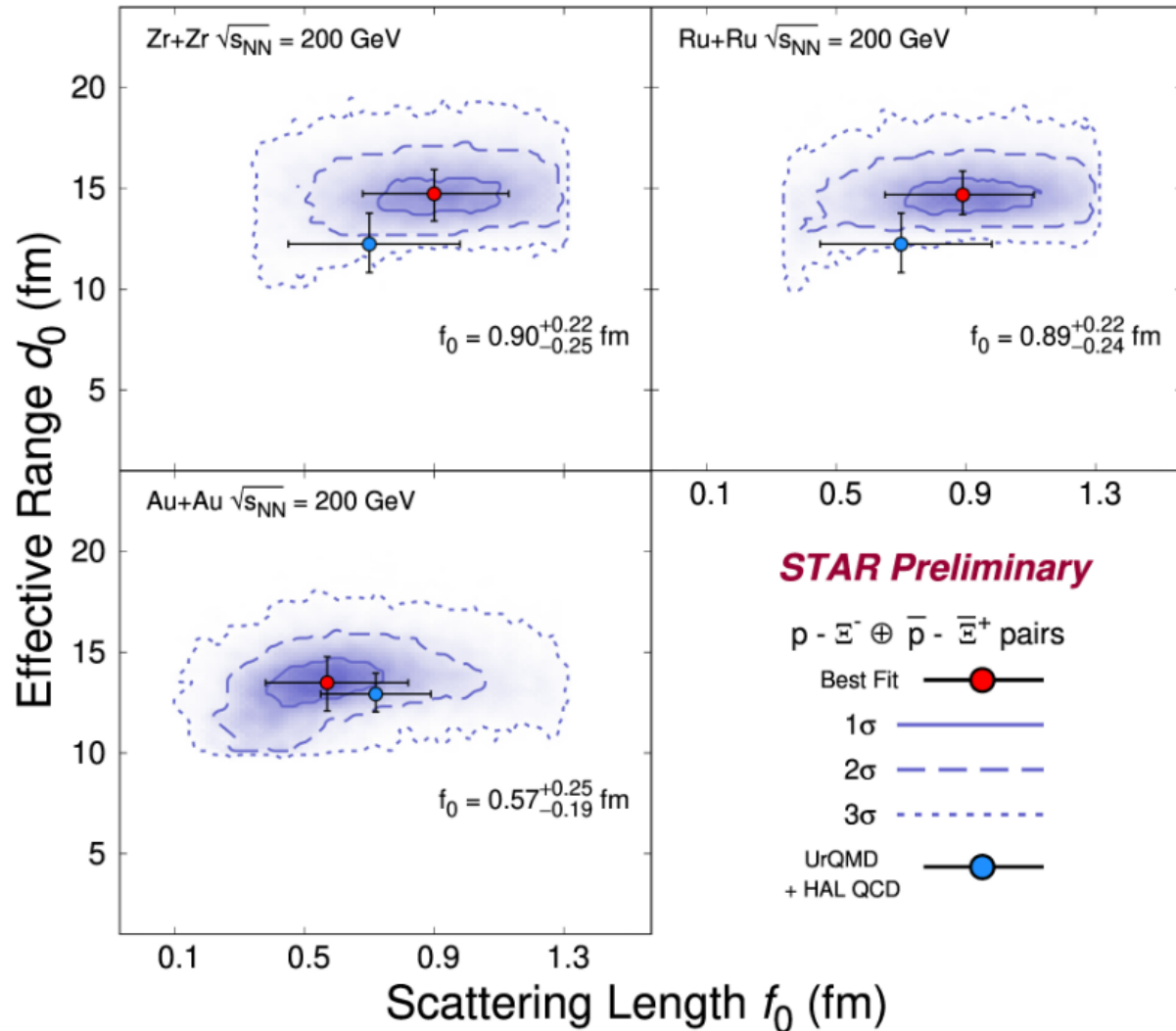
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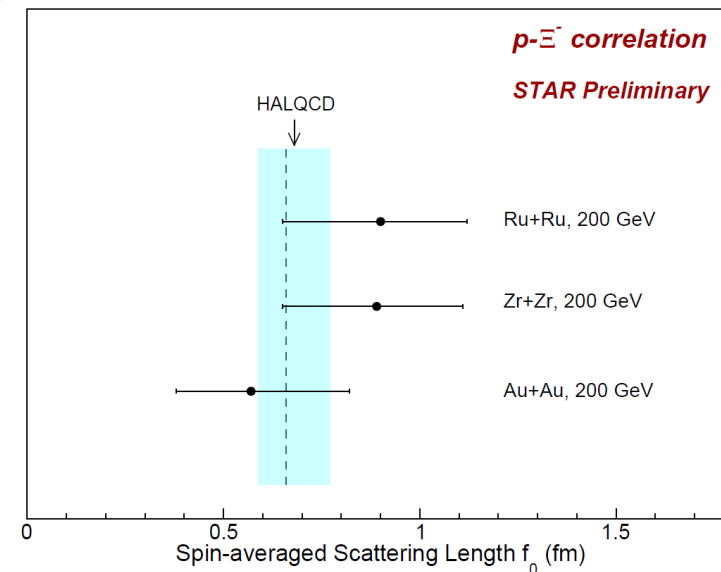
☆ First experimental measurements in heavy-ion collisions of strong interaction parameters in $p - \Xi^-$ pairs

☆ f_0 and d_0 are consistent with those extracted from UrQMD + HAL QCD model within 1sigma

*Edge of $f_0 - d_0$ contours are shown with Bezier smooth to improve the visibility



- ☆ First experimental measurements in heavy-ion collisions of strong interaction parameters in $p - \Xi^-$ pairs
- ☆ f_0 and d_0 are consistent with those extracted from UrQMD + HAL QCD model within 1sigma
- ☆ The f_0 measured from isobar (Zr+Zr and Ru+Ru) and Au+Au collisions are consistent with the prediction of HAL QCD



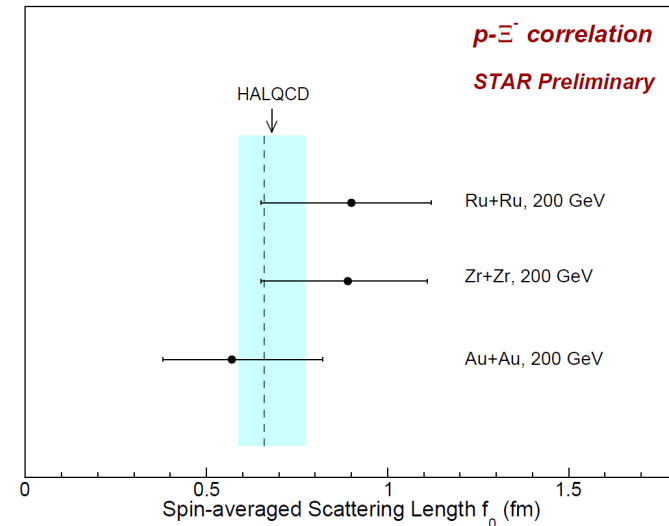
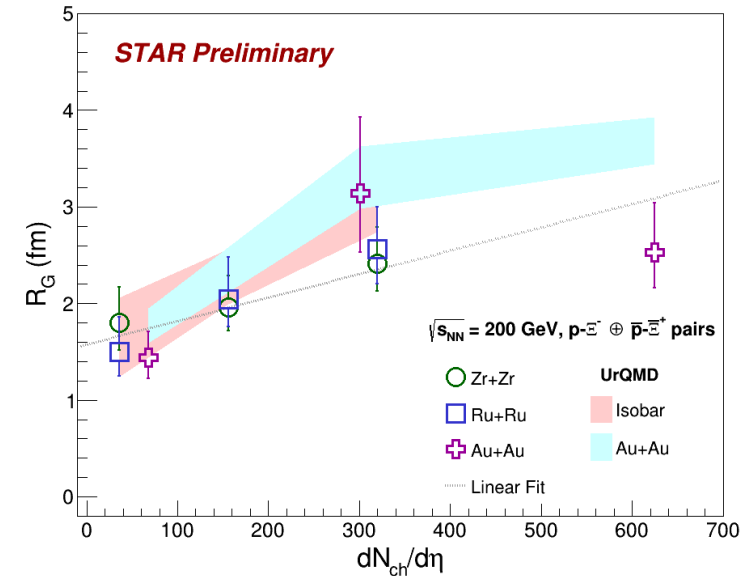
*Edge of $f_0 - d_0$ contours are shown with Bezier smooth to improve the visibility

☆ Systematical measurements of p - \bar{E}^- correlation functions in isobar (Zr+Zr and Ru+Ru) and Au+Au collisions at 200 GeV at STAR

☆ The extracted source radii increase as charged multiplicity increase for different collisions

☆ **The first experimental measurements of strong interaction parameters (f_0 , d_0) in p - \bar{E}^- pairs**

- ◎ The f_0 is consistent with HAL QCD predictions within 1σ
- ◎ Experimental evidence of shallow attractive interaction in p - \bar{E}^- pairs





Thank you !



SQM2024, June 5th 2024, Starsbourg

